

# Confinglement

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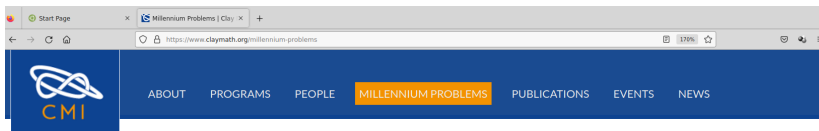
HELSINKI INSTITUTE OF PHYSICS

works in progress w/ A.Pönni, T.Rindlisbacher, K.Rummukainen, A.Salami

**Particle Physics Day**

Hotel Arthur – 24 November 2022

- Color confinement is **poorly understood**



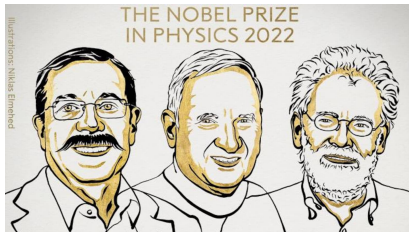
## Millennium Problems

### Yang-Mills and Mass Gap

Experiment and computer simulations suggest the existence of a "mass gap" in the solution to the quantum versions of the Yang-Mills equations. But no proof of this property is known.

- $\exists$  physicist's proofs of confinement in exotic gauge theories
- Can we get insights with other tools?

- Despite



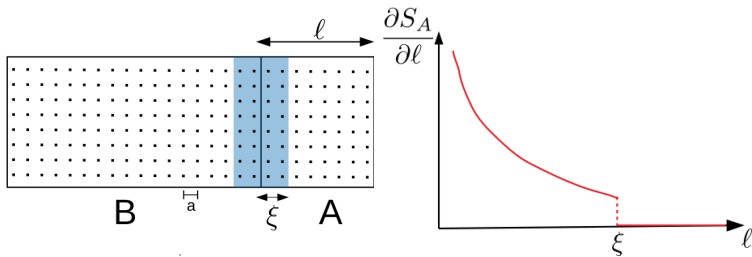
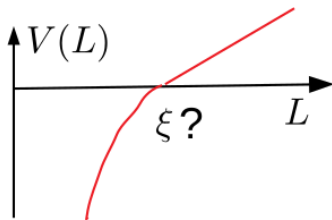
entanglement is **very poorly understood**

- Because in QFT

$$\mathcal{H}_{\text{physical}} \longrightarrow \mathcal{H}_{\text{physical}}^{(1)} \otimes \mathcal{H}_{\text{physical}}^{(2)}$$

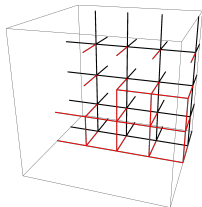
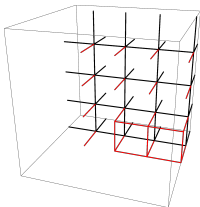
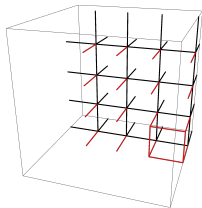
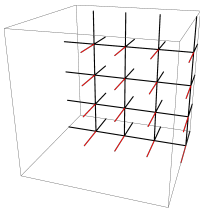
# Confinement

- Entanglement probes confinement:
  - number of colors is  $N_c = 3 \sim \infty$
  - entropy density scales as  $\mathcal{O}(N^0)$  (confined) vs.  $\mathcal{O}(N^2)$  (deconfined): **order parameter**
  - **can** define entanglement function that measures dofs



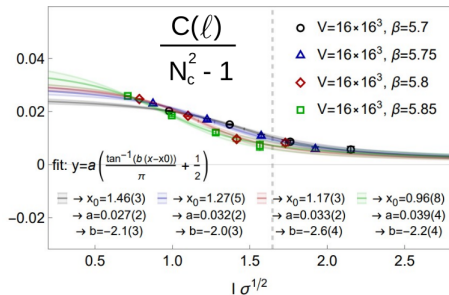
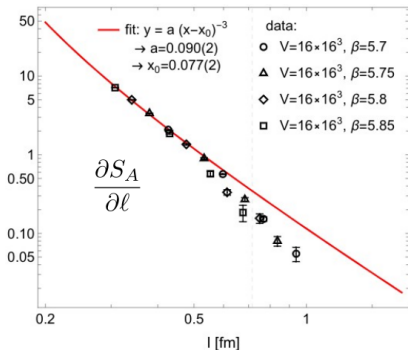
# Can one compute entanglement entropies?

- Yes: put Yang-Mills theory on the lattice  
[Buividovich-Polikarpov 0802.4247]  
[Itou-Nagata-Nakagawa-Nakamura-Zakharov 1512.01334]  
[Rabenstein-Bodendorfer-Buividovich-Schäfer 1812.04279]
- Bad signal-to-noise ratio, improved it w/ a new method



# Can one compute entanglement entropies?

- Find the dof “order parameter”  $C(\ell) \sim \ell^3 \frac{\partial S}{\partial \ell}$ :  
[NJ-Pönni-Rindlisbacher-Rummukainen-Salami to appear]

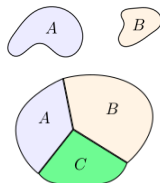


- SU(3) Yang-Mills mass gap  $1/\xi$  from entanglement somewhat comparable to  $T_c \sim 276 \text{MeV} \sim 0.73 \text{fm}^{-1}$

# Points of interest

Recent progress (mostly) in exotic field theories (>2014):

- dependence of  $A$  (shape, topology, singularities)
- characterization of fixed points and RG flows, also w/ anisotropy
- mutual (entanglement+correlations), tripartite info (correlations of correlations)...



Applications

- black holes
- correlations of fields in cosmological spacetimes
- probe of Fermi vs. non-Fermi liquid behavior
- probe of quenches, thermalization, propagation of entanglement, chaos
- deep inelastic scattering

[Kharzeev-Levin 1702.03489]

- $\bar{\nu}_\mu + N \rightarrow \mu^+ + \pi^0 + X$

[Iskander-Pan-Tyler-Weber-Baker 2010.00709]

- indicative of QCD accidental symmetries

[Beane-Kaplan-Kico-Savage 1812.03138, Liu-Low-Mehen 2210.12085]