

OPAS Opacities

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Presentation Overview

1. What OPAS did

Some implications for the Astrophysics Community

2. How OPAS does

An outside and inside view

3. Conclusion and prospects



1 ■ What OPAS did

Some implications for the Astrophysics Community

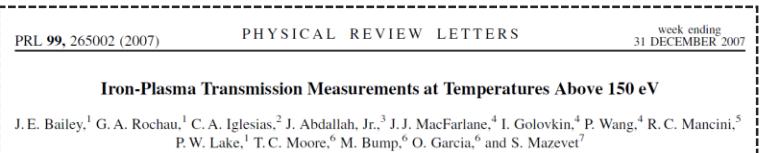
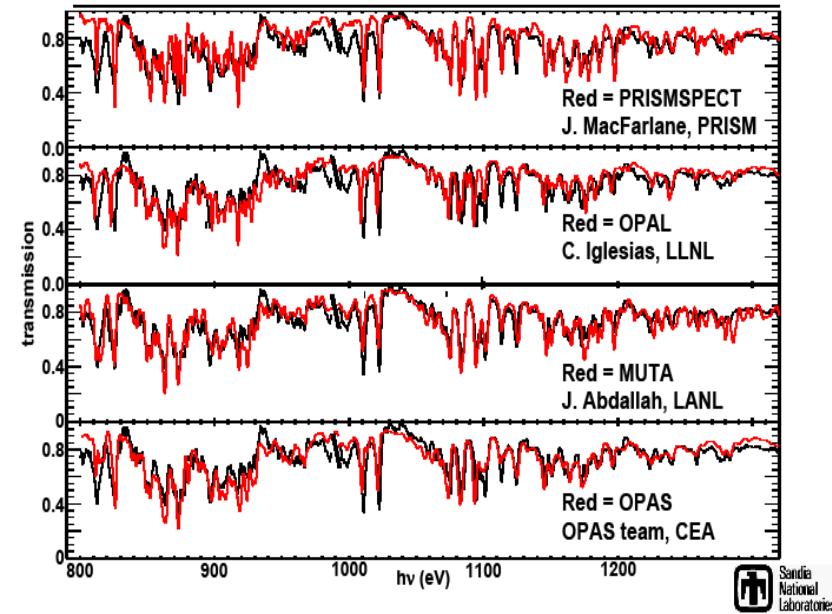
With the Sandia NL: 16 years collaboration (going on)

Towards the Radiative/Convective Boundary Zone

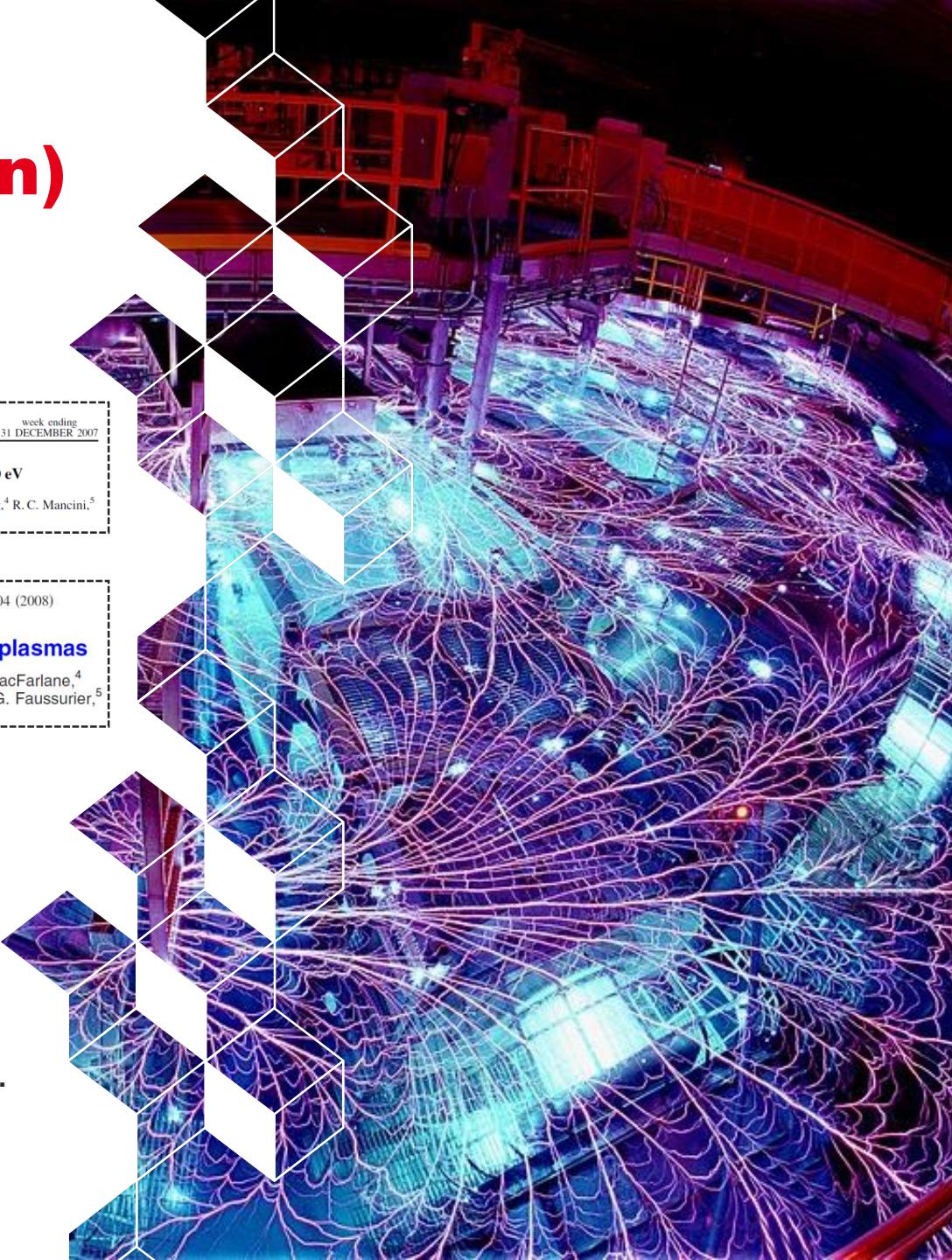
- The early years (2007-2010)



Modern detailed opacity models are in remarkable overall agreement with the Fe data



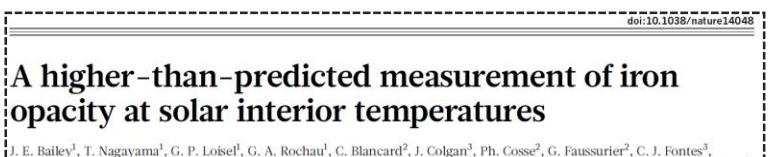
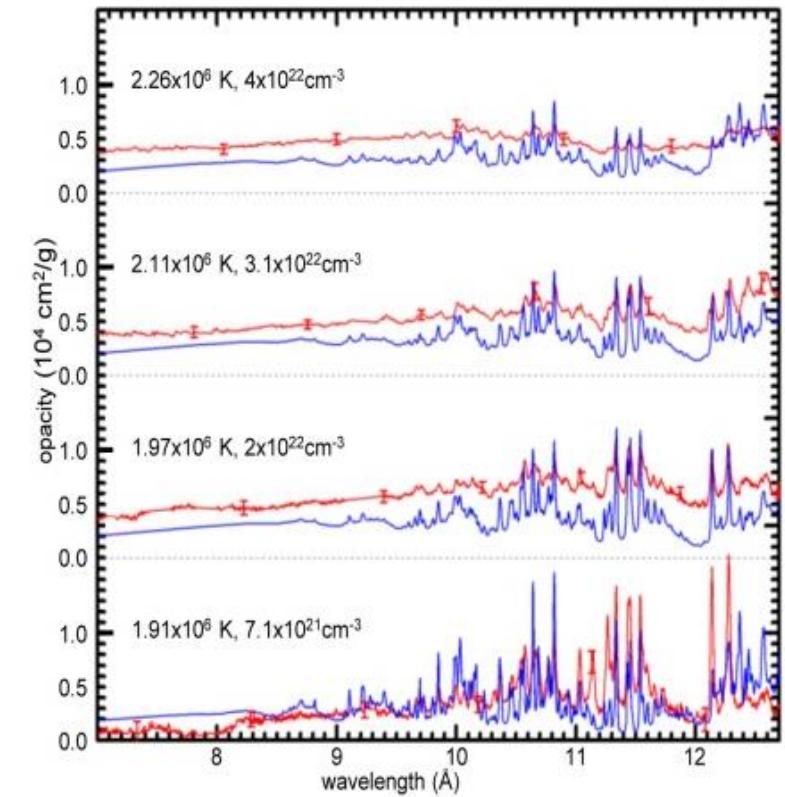
Up to 1.75×10^6 K:
remarkable agreement...



With the Sandia NL: 16 years collaboration (going on)

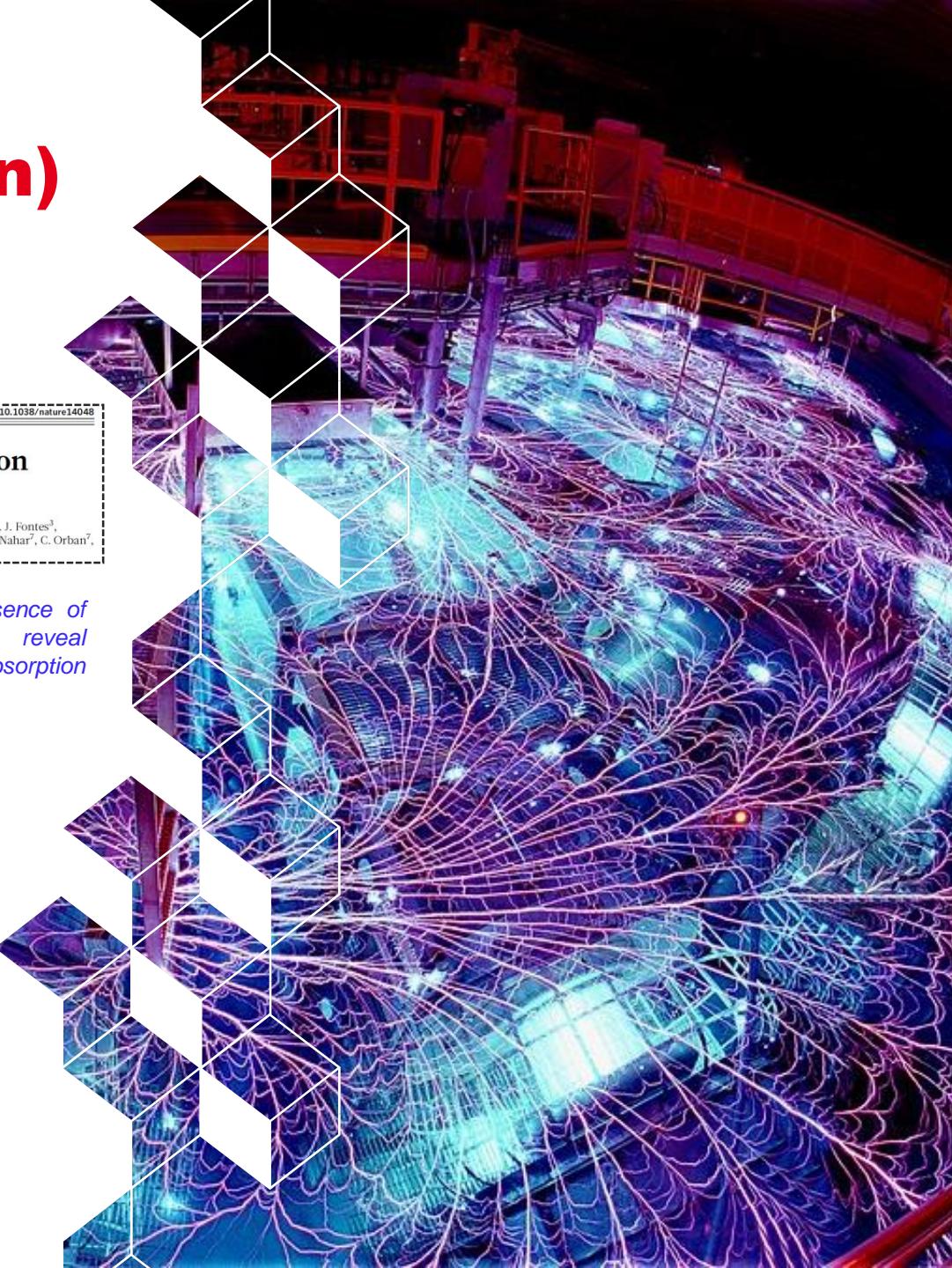
Towards the Radiative/Convective Boundary Zone

- The 2nd phase (2010-2015)



"The analysis suggests that the data, in the absence of unidentified systematic experimental errors, reveal extraordinary, previously unobserved photon absorption phenomena in plasmas.", Carlos Iglesias.

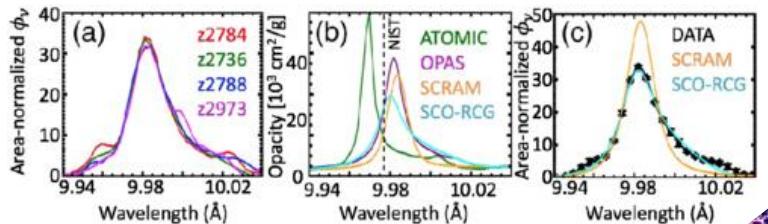
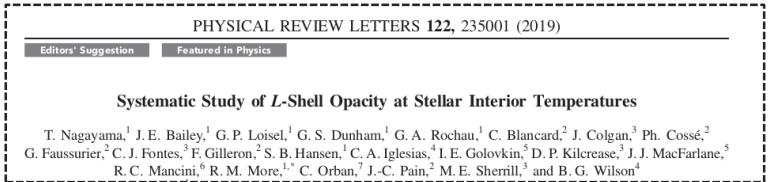
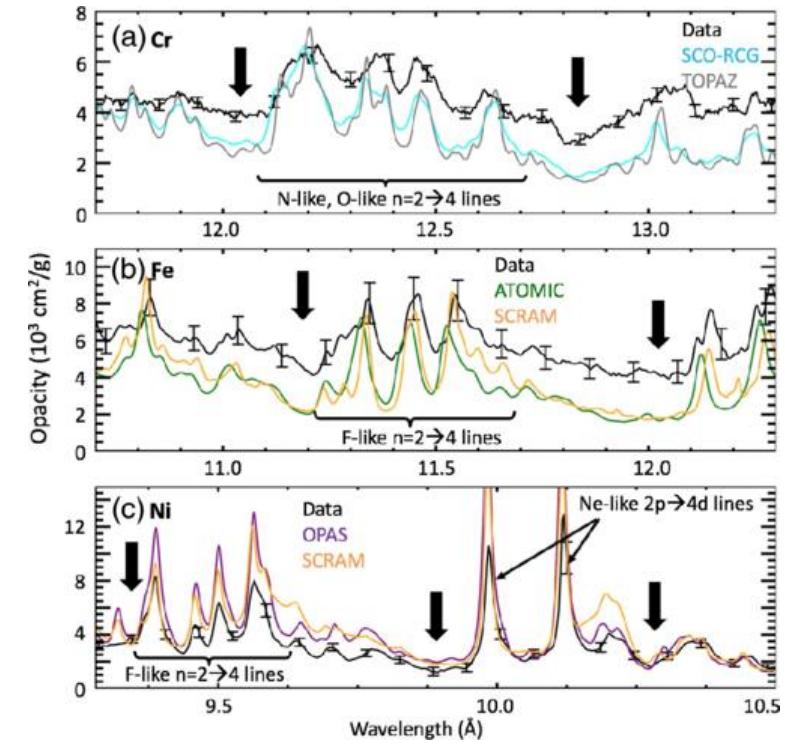
Refurbished Z-machine,
questioned theories...



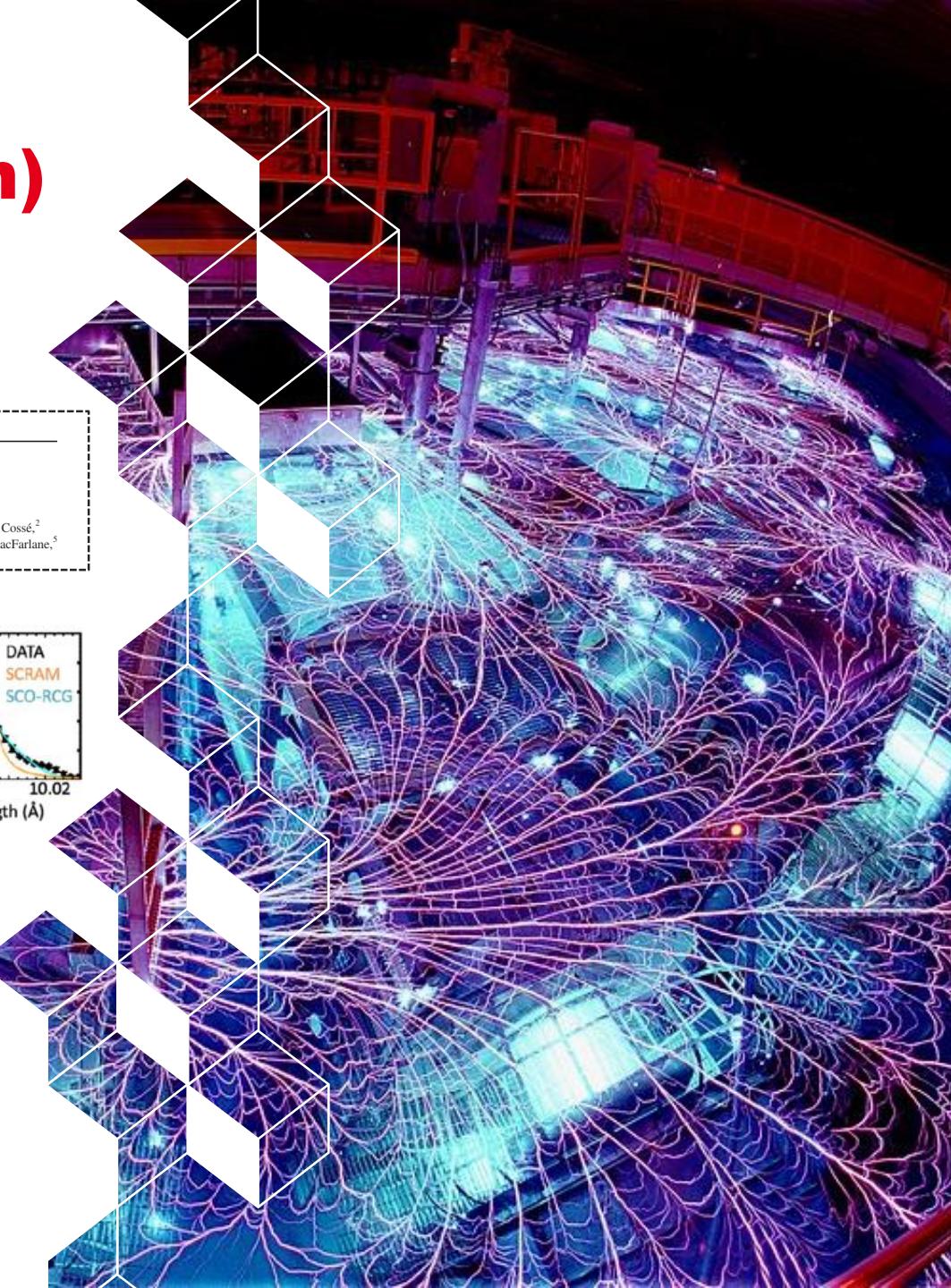
With the Sandia NL: 16 years collaboration (going on)

Towards the Radiative/Convective Boundary Zone

- The 3rd phase (2015-nowadays)

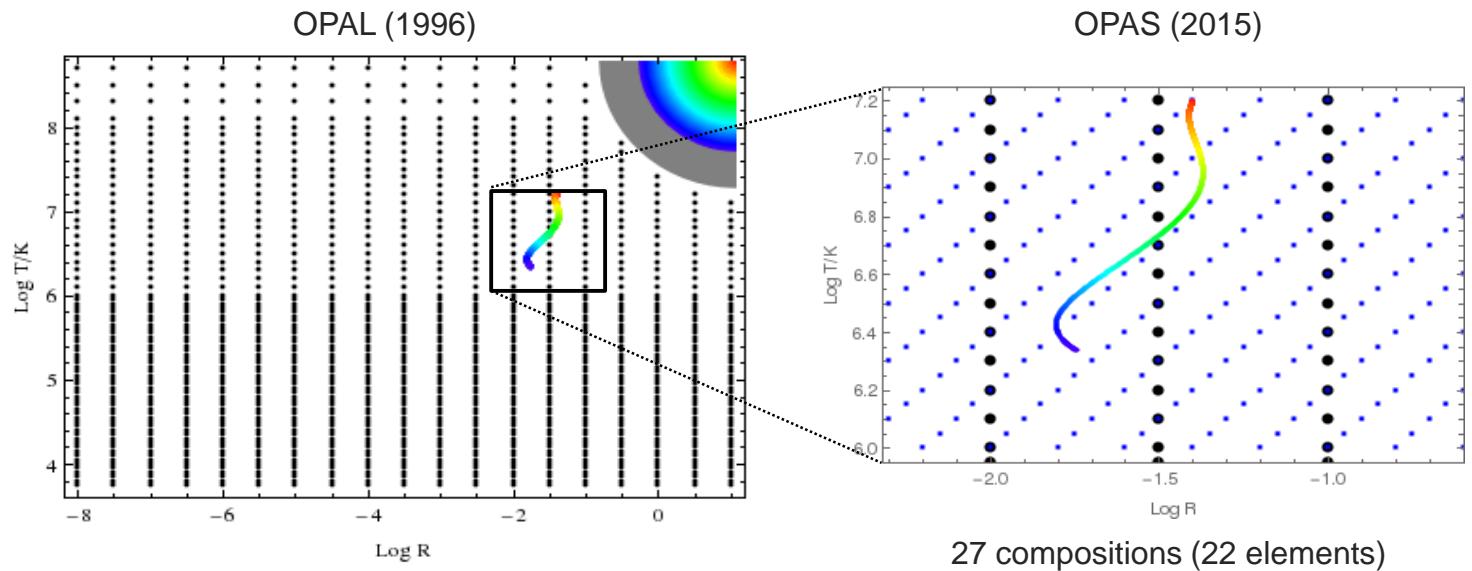
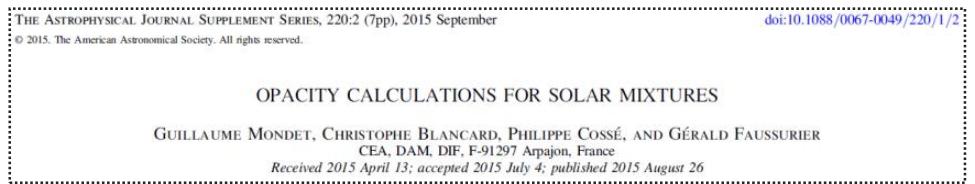


New elements (including O),
new experimental setup,
new wonderings...



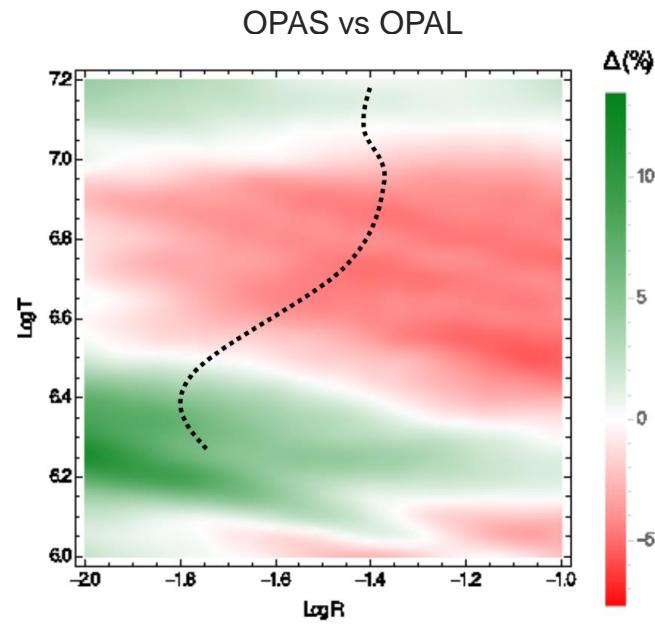
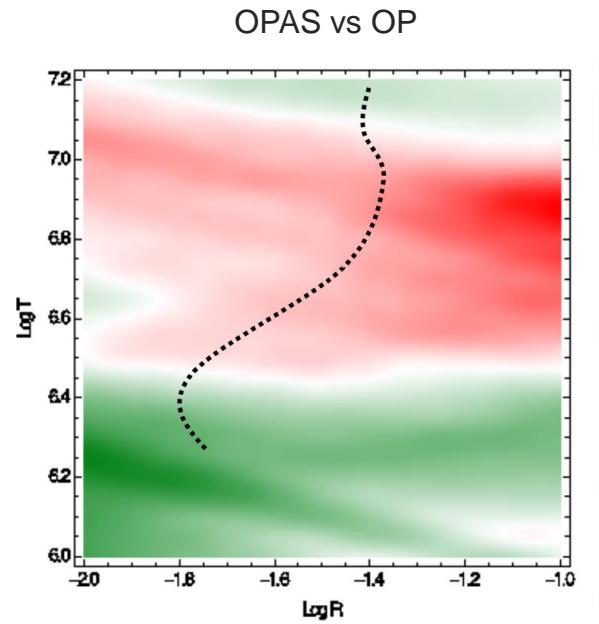
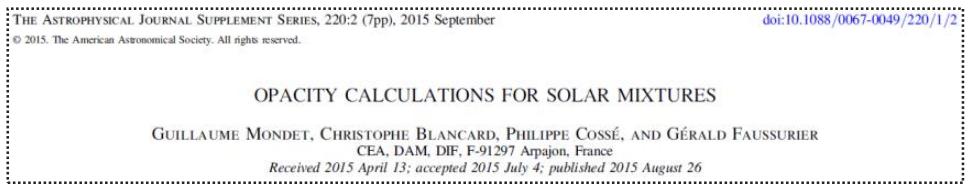
With the IRFU-CEA Saclay: fruitful affinities

Opacity tables for the Radiative Zone of the Solar-type stars



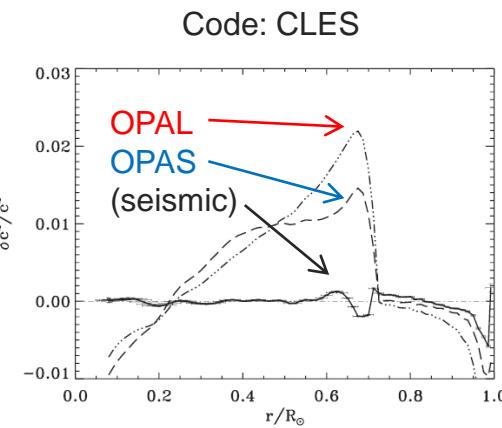
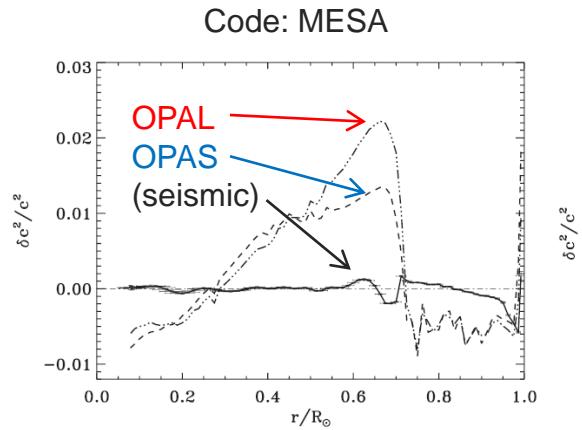
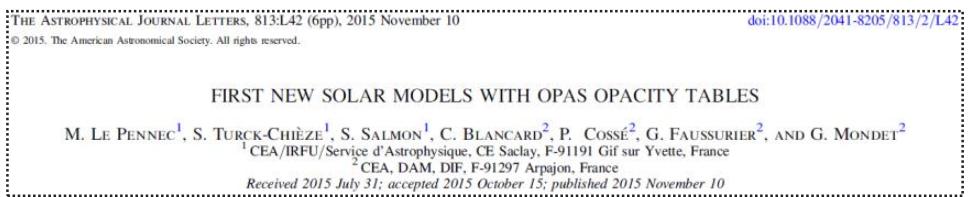
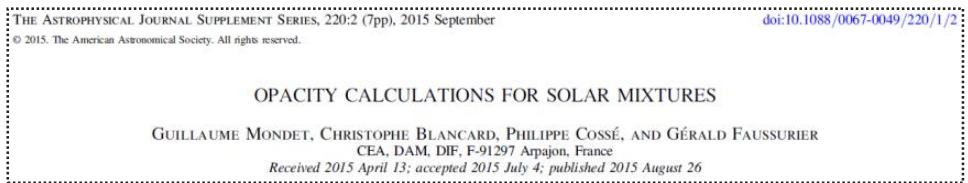
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2. ■ How OPAS does

An outside and inside view



A typical OPAS production

The (only) input:

- thermodynamical conditions
- a mixture composition

The mixture opacity: $\kappa(u) = \sum_z \mu_z \kappa_z(u)$
 where μ_z are the mixing coeff. $\left(\sum_z \mu_z = 1 \right)$
 and where the κ_z are computed @ $\sum_z \frac{\mu_z}{\rho_z} = \frac{1}{\rho}$,
 under the constraints: iso- T , iso- N_e , iso- $P(\varepsilon)$

The Rosseland Mean:

$$\frac{1}{\kappa_R} = \int \frac{1}{\kappa(u)} f_R(u) du ,$$

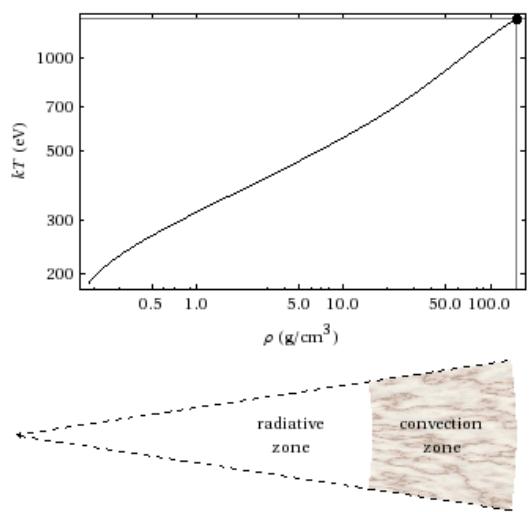
where: $f_R(u) = \frac{15}{4\pi^4} \frac{u^4 e^{-u}}{(1 - e^{-u})^2}$

The contributions:

$$\Rightarrow \frac{\partial \kappa_R}{\partial \mu_z} = \kappa_R^2 \int \frac{\kappa_z(u)}{\kappa^2(u)} f_R(u) du$$

$$\Rightarrow \sum_z \mu_z \frac{\partial \kappa_R}{\partial \mu_z} = \kappa_R$$

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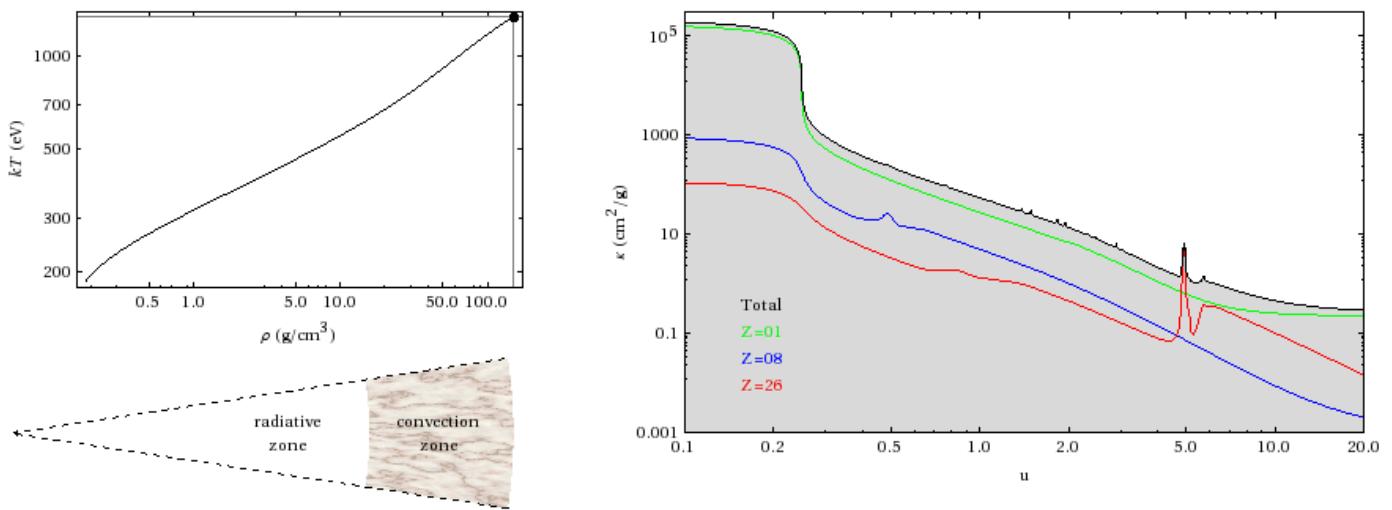
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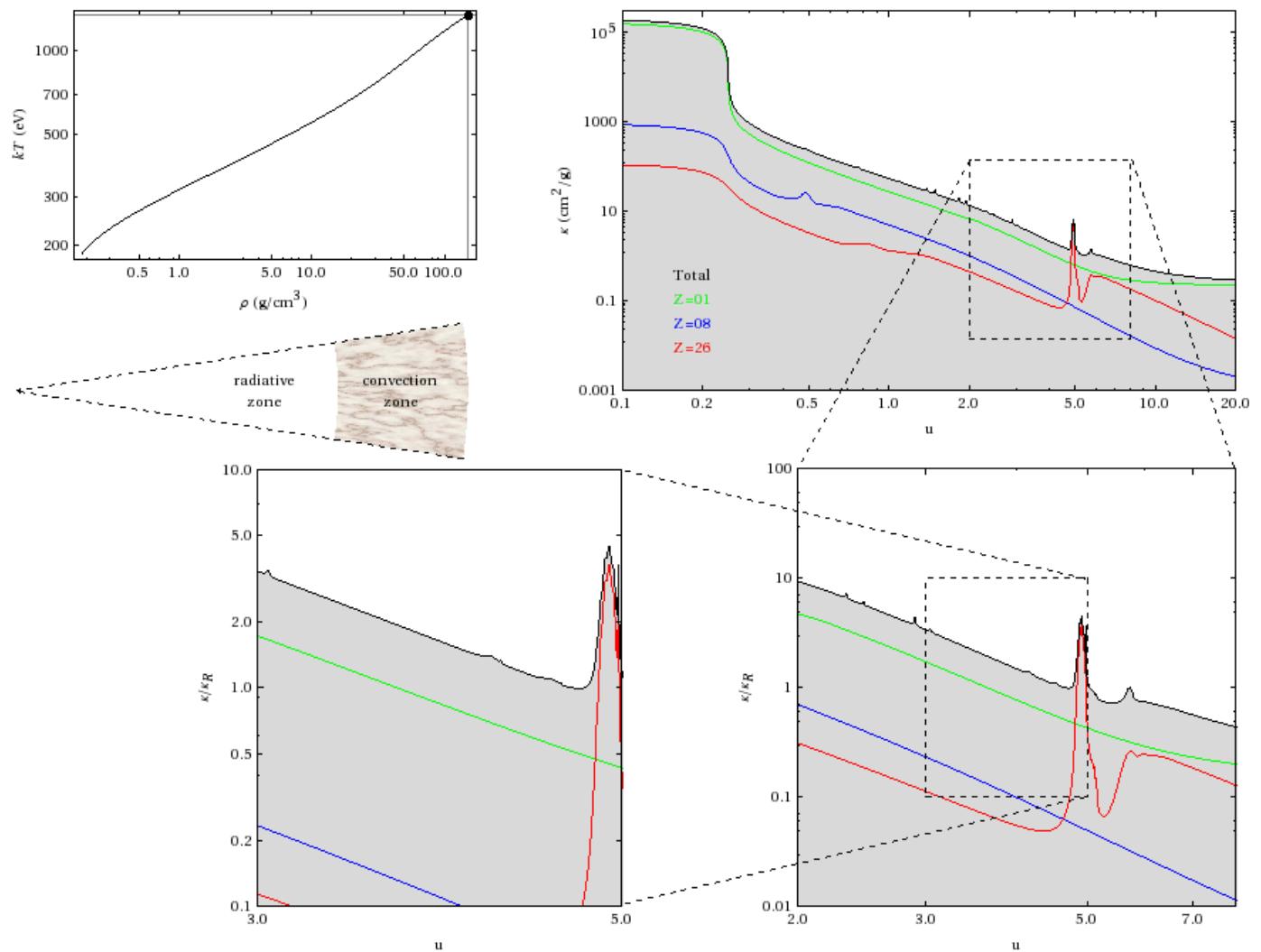
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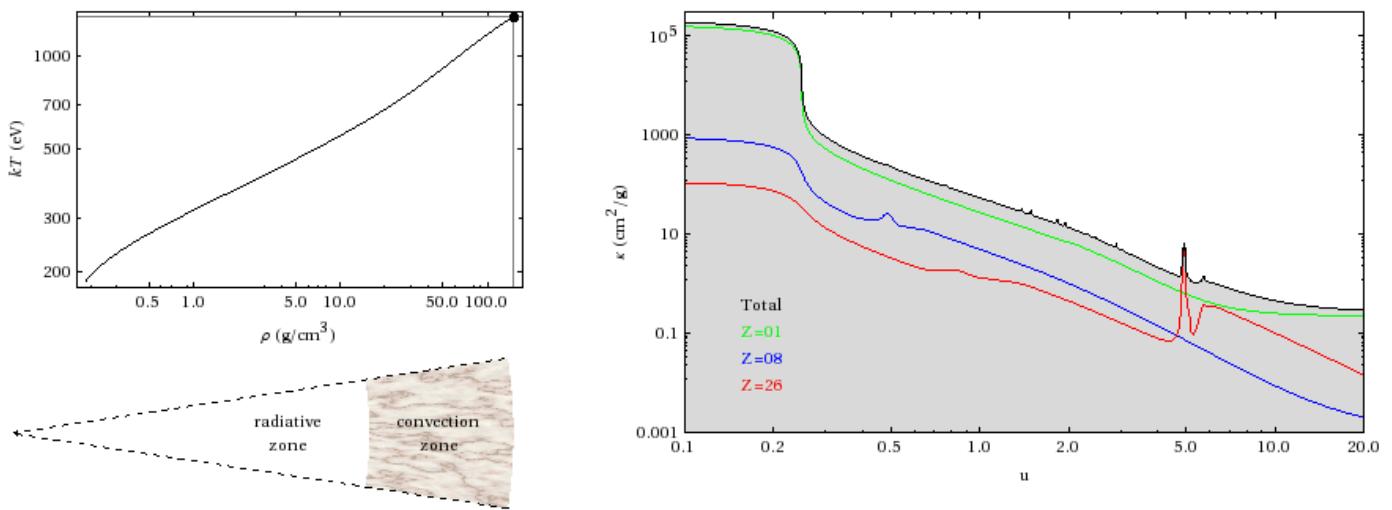
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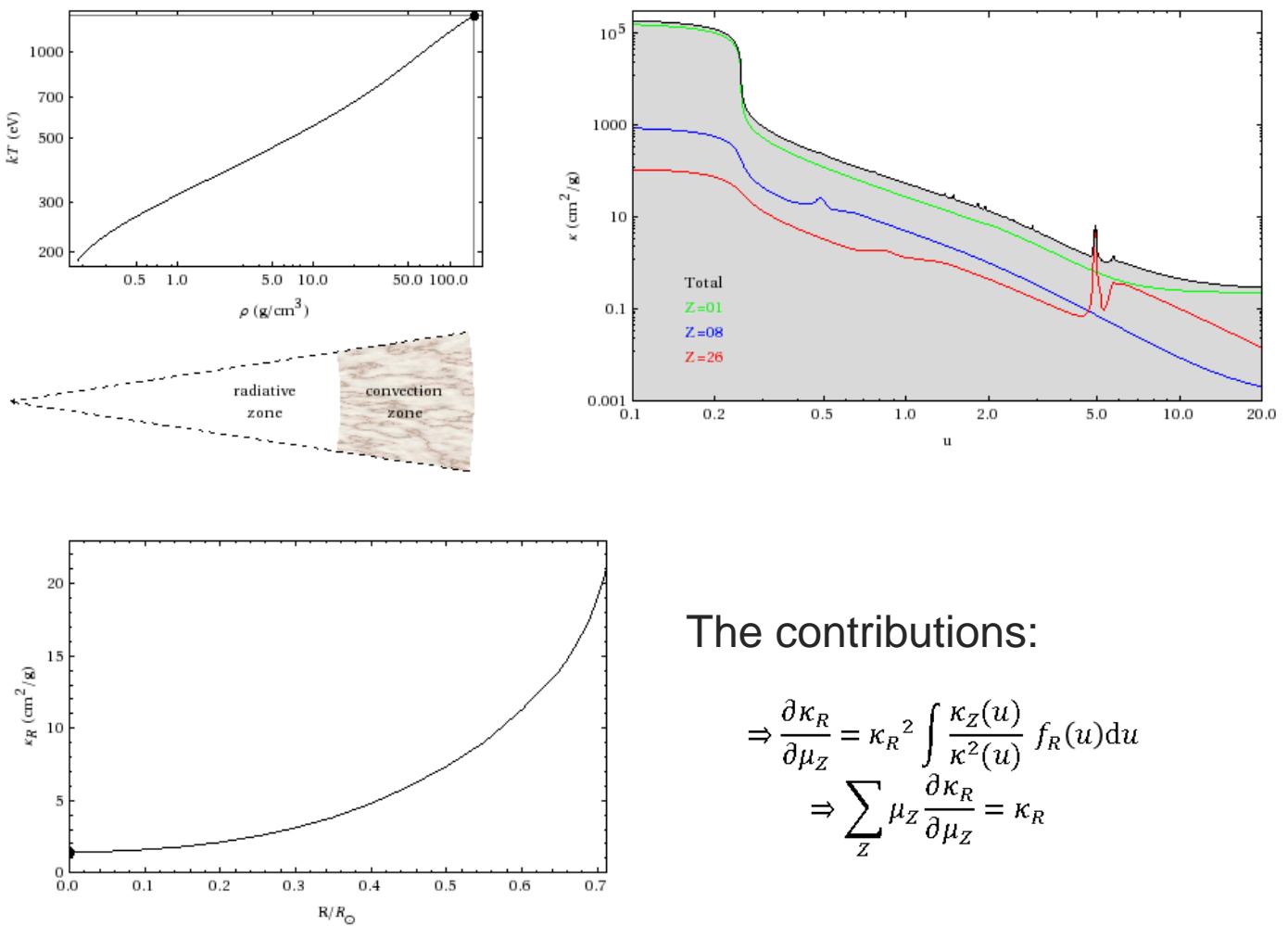
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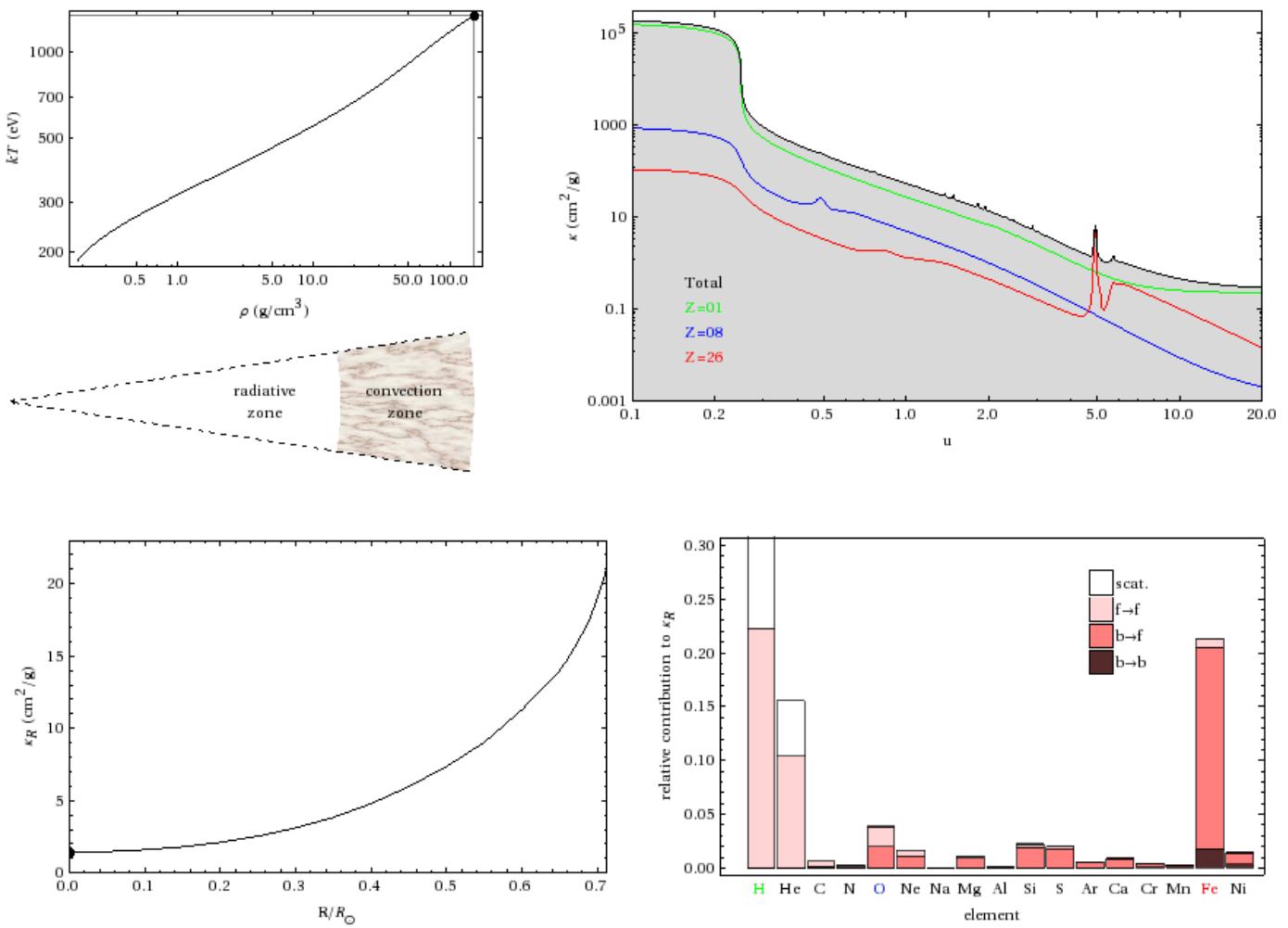
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A typical OPAS production



OPAS is a multi-scale atomic code, based on the thermodynamic description of plasma

Average Atom

Super-
Configurations

Configurations

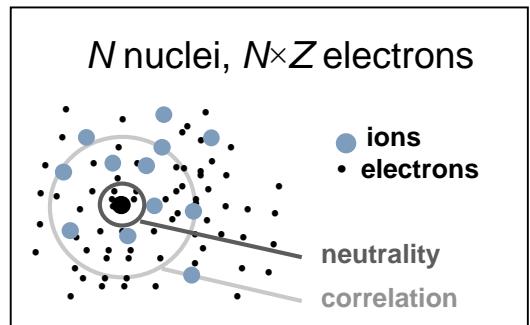
Atomic Levels

Atomic States

The SCAALP Model

Ab initio, variational approach

Classical ions + quantum e^-
(consistently processed)



Useful data for *consistent* opacities:

- Total free energy (ions+e-)
- Electronic electric conductivity
- Mean Ionization
- Subshells occupation statistics
- Ionic microfield



OPAS is a multi-scale atomic code, based on the thermodynamic description of plasma



From AA statistics,
define *Super-Shells*
and their occupation range

$$1s^{1.99} 2s^{1.85} 2p^{5.20} 3s^{0.05} 3p^{0.11} 3d^{0.20} \dots$$

$$\curvearrowright (1s)^{0-2} (2s2p)^{0-8} (3s3p3d)^{0-2} \dots$$

For each *Super-Configuration*,
optimize the electronic structure
to describe its configurations

$$\left. \begin{array}{l} (1s)^2 (2s2p)^8 (3s3p3d)^2 \dots \\ \vdots \\ (1s)^2 (2s2p)^4 (3s3p3d)^1 \dots \\ \vdots \end{array} \right\}$$

$$\left. \begin{array}{l} 1s^2 2s^2 2p^6 3s^2 \dots \\ 1s^2 2s^2 2p^6 3s^1 3p^1 \dots \\ 1s^2 2s^2 2p^6 3s^1 3d^1 \dots \\ 1s^2 2s^2 2p^6 3p^2 \dots \\ 1s^2 2s^2 2p^6 3p^1 3d^1 \dots \\ 1s^2 2s^2 2p^6 3d^2 \dots \end{array} \right\}$$



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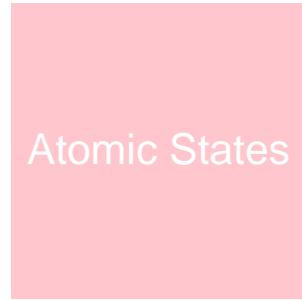
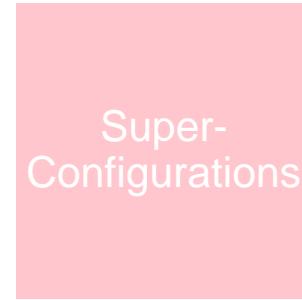
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$1s^2 2s^2 2p^2 3s^1 \dots$
 \vdots
 $1s^2 2s^1 2p^3 3d^1 \dots$
 \vdots
 $1s^2 2p^4 3p^1 \dots$
 \vdots

OPAS is a multi-scale atomic code, based on the thermodynamic description of plasma



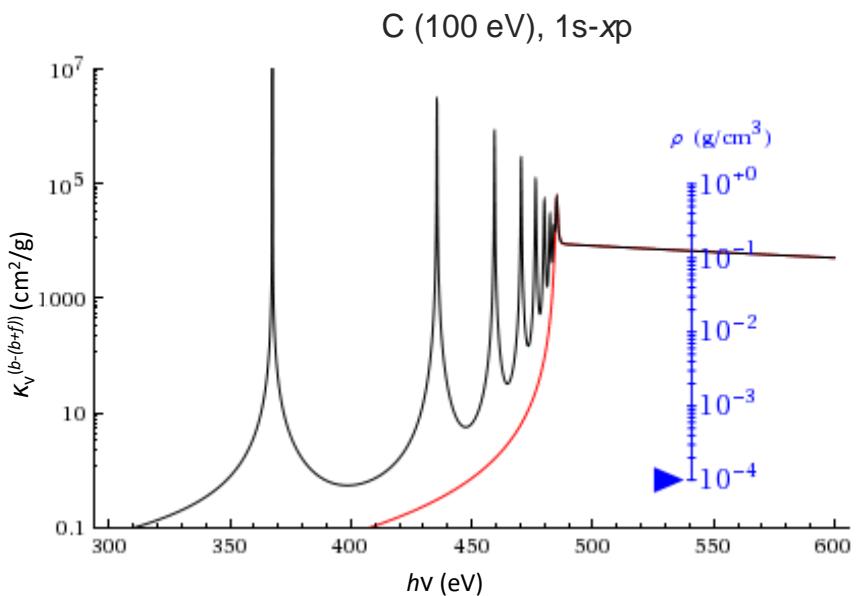
Get the population of every generated configuration: $(\sim 10^6)$

- from the Saha-Boltzmann law (LTE hypothesis)
- adjusting μ_e to retrieve the SCAALP mean ionization value

Then, discard the most unpopulated ones. $(\sim 10^5)$

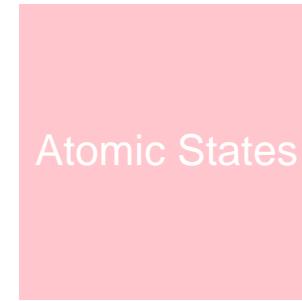
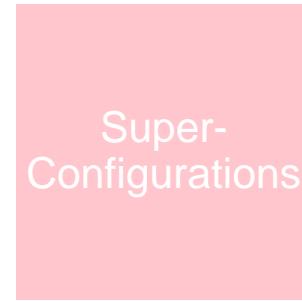
The bound-free component is computed at this scale, including:

- a statistical broadening
- an Ionization Potential Shift
- ghost (almost bound) lines



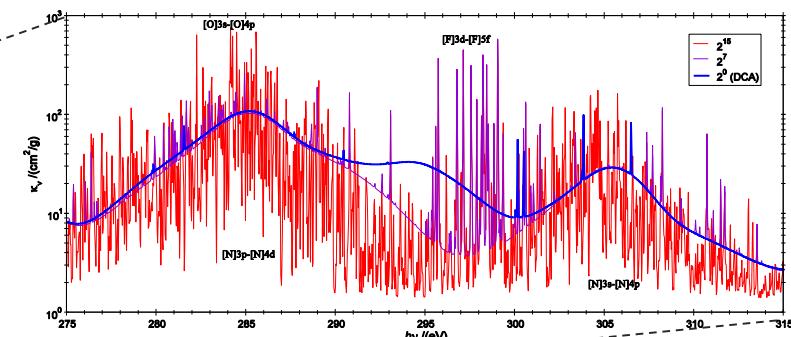
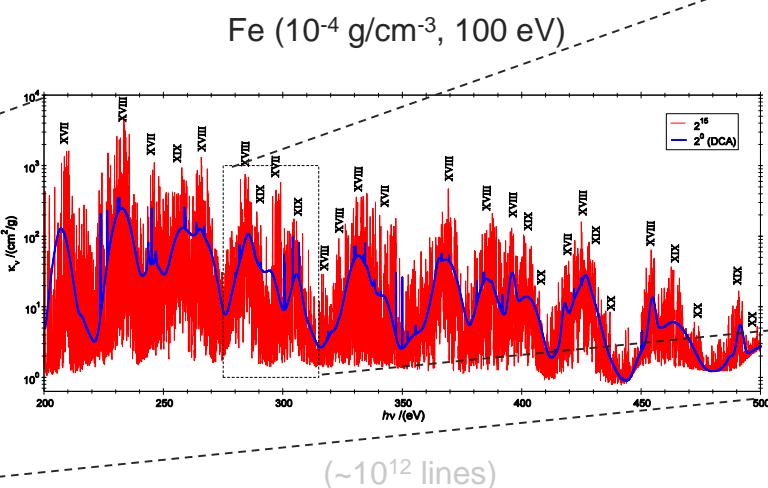
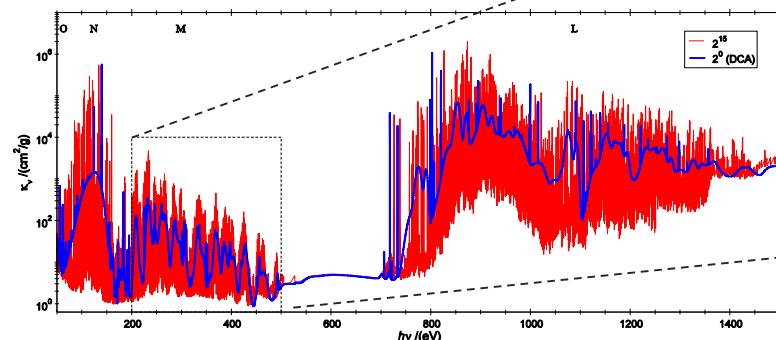


OPAS is a multi-scale atomic code, based on the thermodynamic description of plasma



A bound-bound transition arrays can be:

- **Unresolved** (Bauche's UTA & SOSA)
- **Partially resolved** (Iglesias PRUTA)
- **Resolved** (Bruneau's MCDF)



Depending on:

- its position ($u \subset [0.2, 13.5] \subset [0.1, 20]$)
- its coalescence level (function of line widths)

OPAS is a multi-scale atomic code, based on the thermodynamic description of plasma

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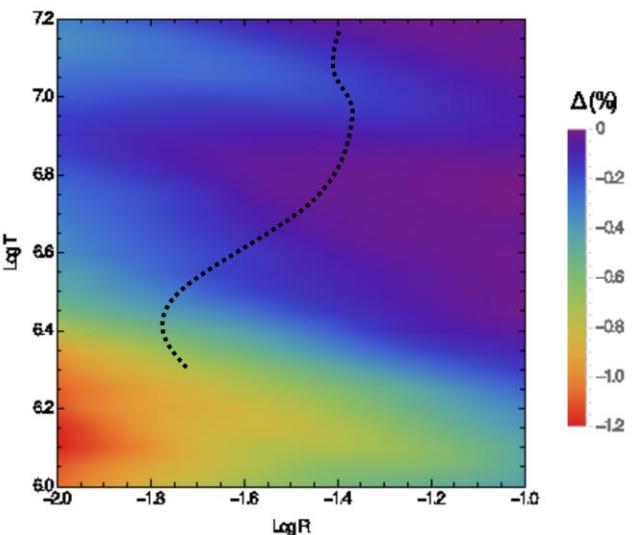
Atomic Levels

Atomic States

The Stark effect is a line-broadening source...

- The electronic microfield is processed at the quasistatic approximation
- The ionic microfield can be processed exactly, for small, tractable cases :
 - R. W. Lee's LINE2T
 - Ch. Blancard's MCJJ

H-μfield vs mixture-μfield

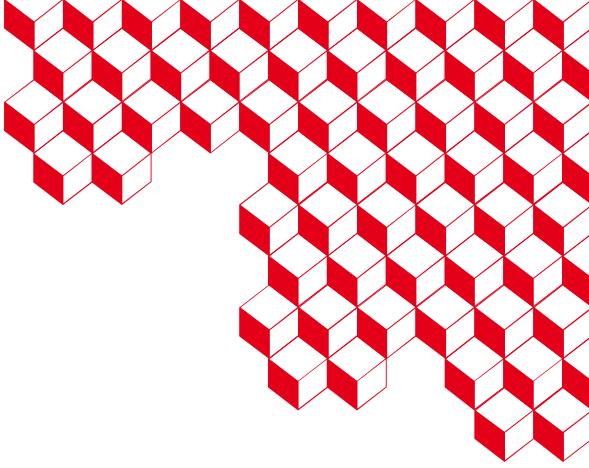




3 Conclusion and ■ prospects



- OPAS had, has and will have implications in stellar modelling
 - The code is rigged for hot plasma opacity productions
 - note: the 2015 tables represent more than year of effort
 - Our collaboration with the Z-machine team is active and on good track
 - the Astrophysicists will be early beneficiaries :)
 - New fruitful collaborations are greatly appreciated!
 - thank you, Gaël!
- OPAS can still evolve...
 - Each new experimental is good to take to test and refine our modules
 - the experimental agreement remains the *juge de paix*
 - We are testing a new Equation-of-State model
 - an alternative approach for the ionic environment
- Non-LTE effects could be evaluated with a cousin code, SAPHyR



Thank you for your attention!

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