The Future of Strong Gravitational Lensing

Texas Symposium, Geneva Dec. 15, 2015

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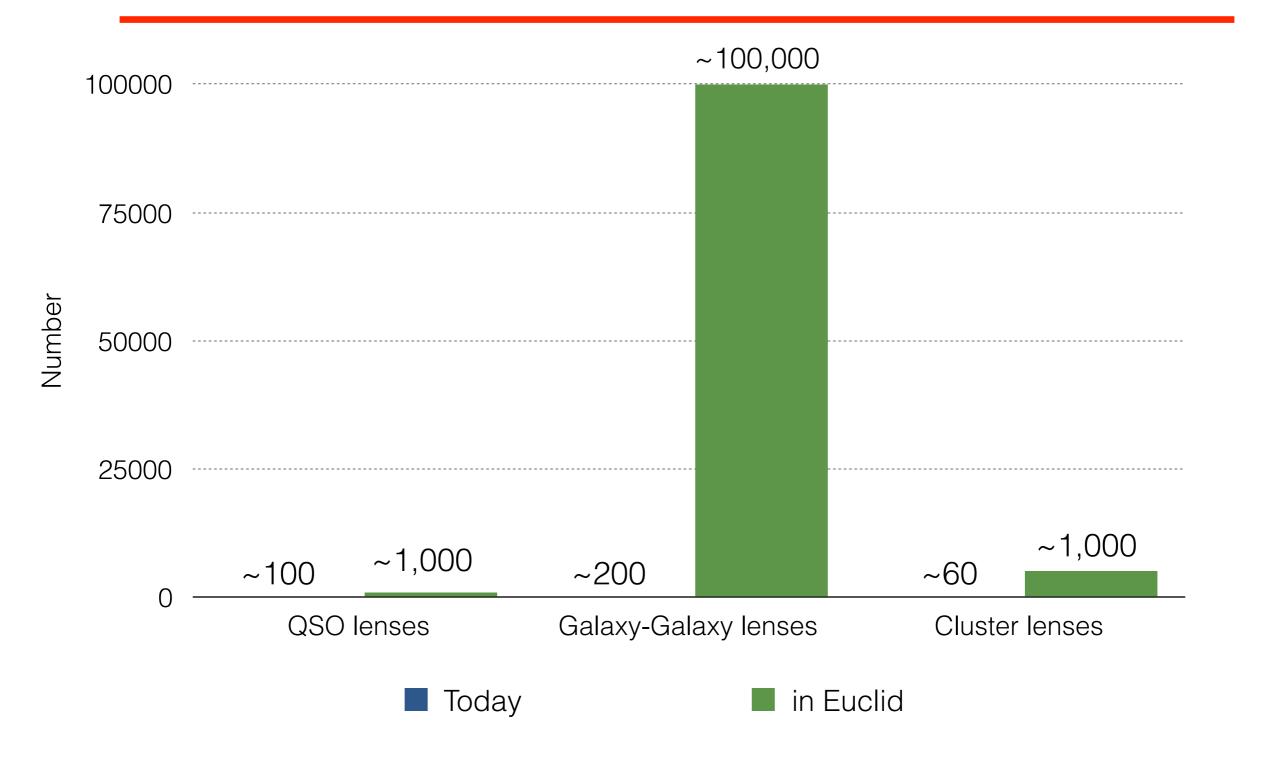






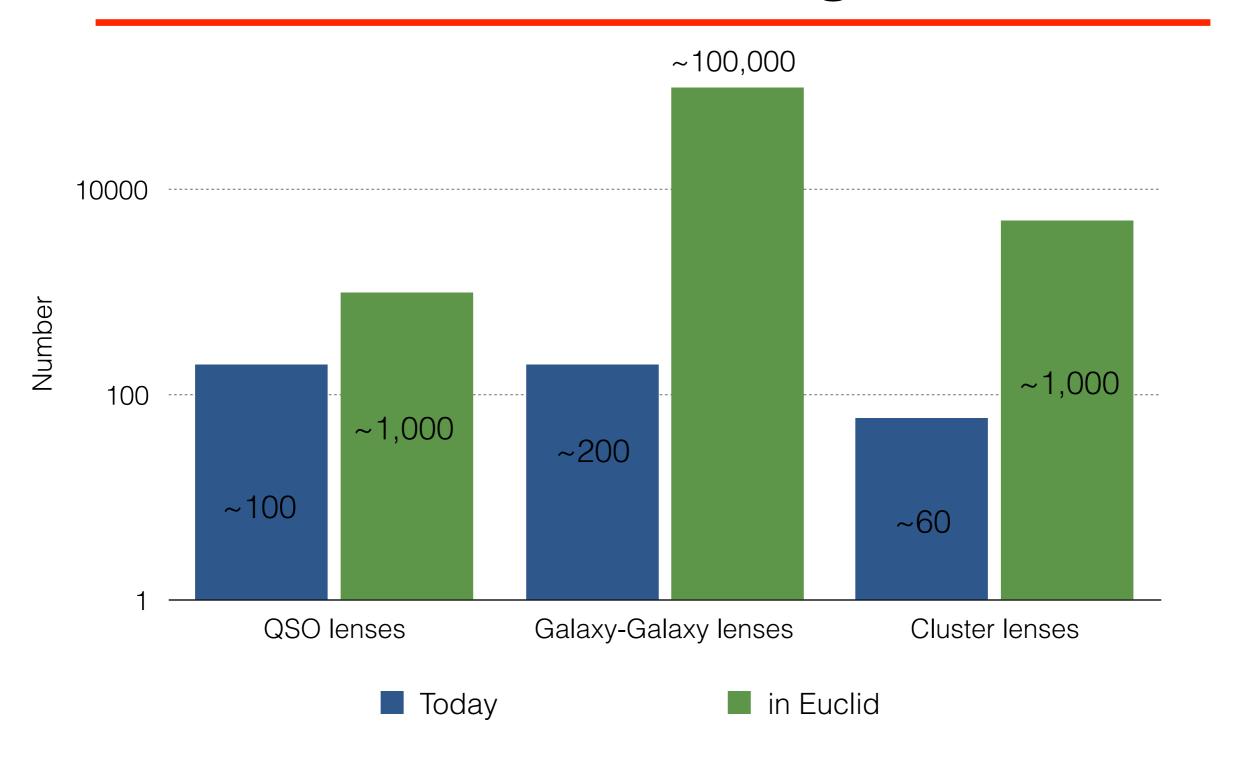


Numbers of known strong lenses



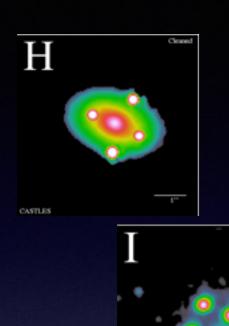
Future Data Sets: KIDS, DES, Pan-Starrs, LSST, Euclid

Numbers of known strong lenses

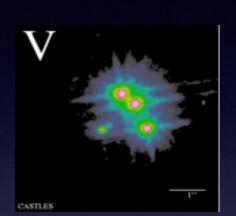


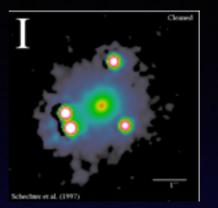
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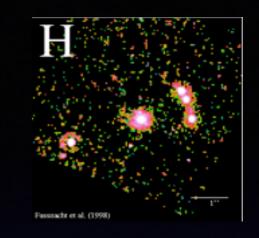
Galaxy Scale Strong Lenses

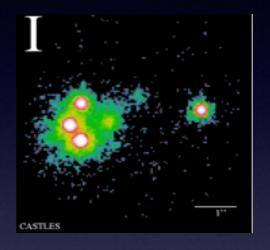


Galaxy - QSO Lenses



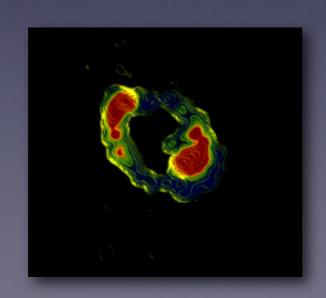


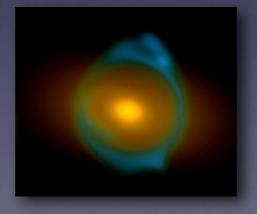


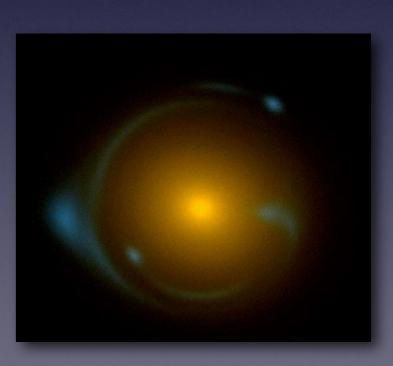




Galaxy - Galaxy Lenses







Uses for strong lenses

- Cosmological parameters

- Distribution of mass or theory of gravity in the lenses

- Find and study high redshift sources

 $\theta_{
m E}$ angular Einstein radius

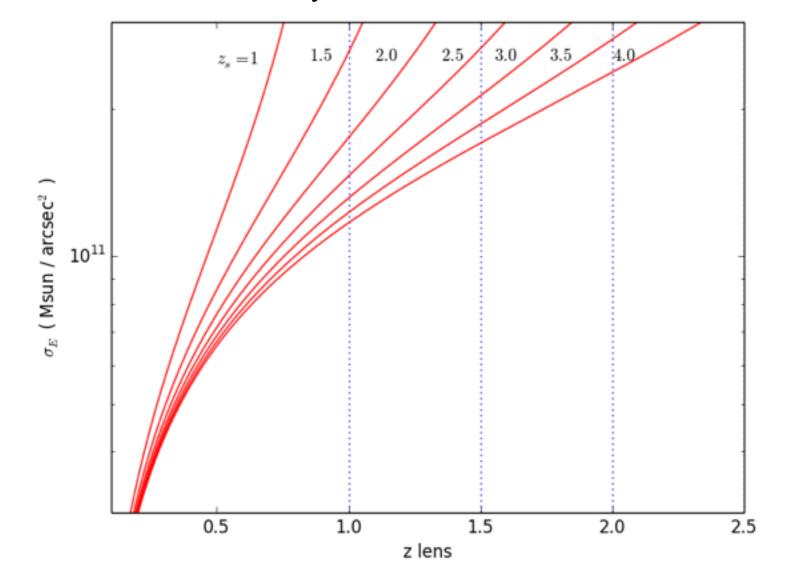
$$\pi heta_{
m E}^2 = rac{M(heta_{
m E})}{\sigma_{
m crit}}$$
 area within Einstein radius

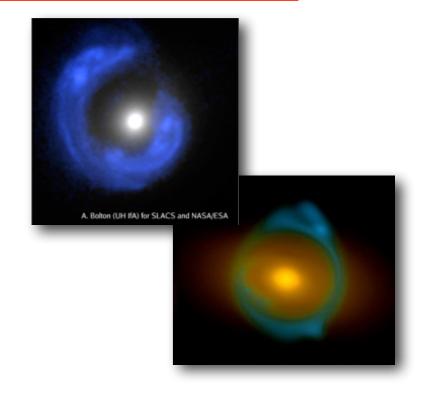
 $M(\theta_{\rm E})$ mass within Einstein radius

$$\sigma_{
m crit} = rac{c^2}{4\pi G} rac{D_l D_s}{D_{ls}} = \Sigma_{
m crit} D_l^2$$
 critical density

$$\sigma_{
m crit}(z_s, z_l) = \frac{M(\theta_{
m E})}{\pi \theta_{
m E}^2}$$

critical density as a function of lens redshifts

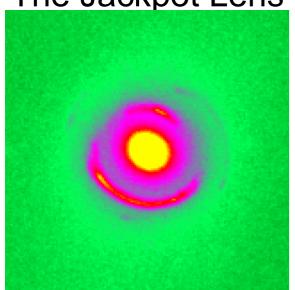




Need to know the mass to get the cosmology or vice versa.

$$M(\theta_{\rm E}) = \pi \theta_{\rm E}^2 \sigma_{
m crit}(z_s, z_l)$$

The Jackpot Lens



Gavazzi et al. 2008

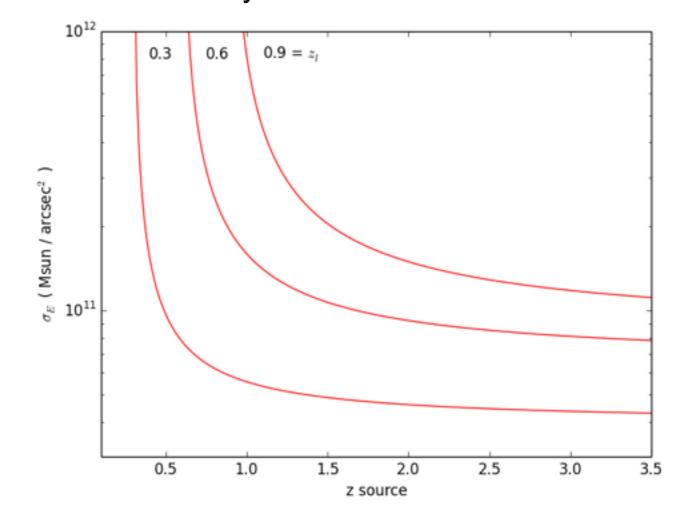
$$z_{\rm lens} = 0.222$$

$$z_{\text{source 1}} = 0.609$$

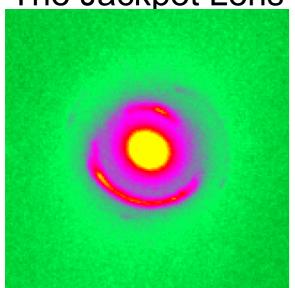
$$z_{\text{source 2}} = 3.1_{-1.0}^{+2.0}$$

$$\frac{\sigma_{\rm crit}(z_s, z_l)}{\sigma_{\rm crit}(z_s', z_l')} = \frac{M(\theta_{\rm E})}{M(\theta_{\rm E})} \left(\frac{\theta_{\rm E}'}{\theta_{\rm E}}\right)^2$$

critical density as a function of source redshifts



The Jackpot Lens



Gavazzi et al. 2008

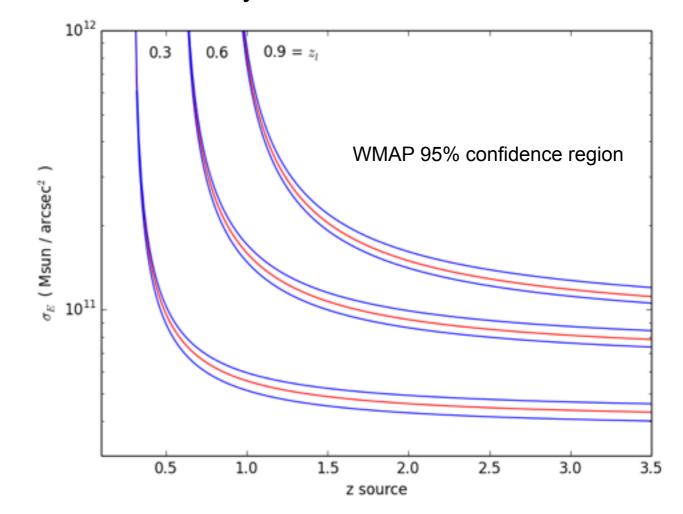
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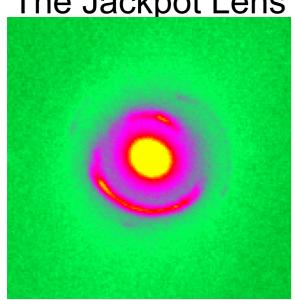
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critical density as a function of source redshifts



The Jackpot Lens



Gavazzi et al. 2008

$$z_{\mathrm{lens}} = 0.222$$

$$z_{\text{source 1}} = 0.609$$

$$z_{\text{source }2} = 3.1_{-1.0}^{+2.0}$$

Collett & Auger 2014

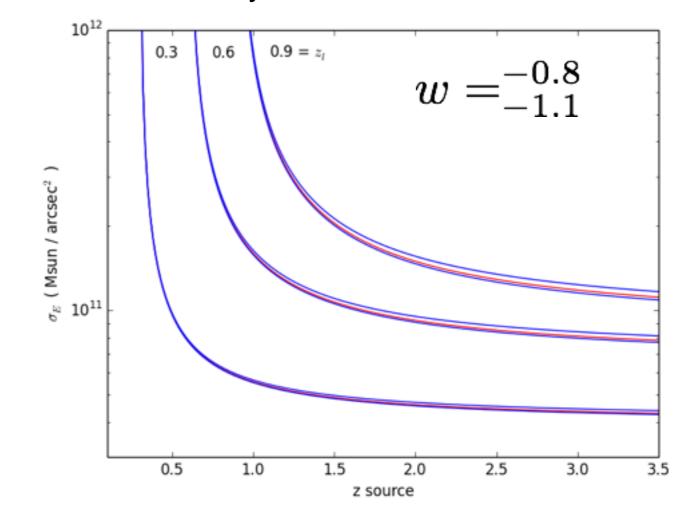
$$\Omega_m = 0.33^{+0.33}_{-0.26}$$
 alone

$$w = -1.17^{+0.20}_{-0.21}$$
 with Planck

assuming isothermal profile

$$\frac{\sigma_{\rm crit}(z_s, z_l)}{\sigma_{\rm crit}(z_s', z_l')} = \frac{M(\theta_{\rm E})}{M(\theta_{\rm E})} \left(\frac{\theta_{\rm E}'}{\theta_{\rm E}}\right)^2$$

critical density as a function of source redshifts



$$M(\theta_{\rm E}) - M(\theta_{\rm E}') = \pi \left(\theta_{\rm E}^2 \sigma_{\rm crit}(z_s, z_l) - \theta_{\rm E}'^2 \sigma_{\rm crit}(z_s', z_l')\right)$$

Time-delays of lensed quasars

Long term monitoring

Careful modelling of lens and environment that does involve assumptions

environment

WMAP + $H_o = 69.7^{+4.9}_{-5.0} \text{ km s}^{-1} \text{ Mpc}^{-1}$ prior

Suyu, et al. 2010 Fassnacht et al. 2002

$$H_o = 70.6 \pm 3.1 \text{ km s}^{-1} \text{ Mpc}^{-1}$$

$$w = -0.94^{+0.17}_{-0.19}$$

COSMOGRAIL - global lens monitoring program

Lens Statistics - number counts of lenses as a function of z

Careful calibration of lens finding efficiency and bias

Susceptible to radial profile degeneracy

Strong Lens Finding

In the past this has been done by eye or with spectroscopic methods

Need automated methods to address large imaging survey data sets and with quantifiable detection efficiency.

PCA lens subtraction
Arc finders
Pattern recognition using neural nets

vector machines, deep learning

Color template subtraction

Crowd Sourcing - Spacewarps

Direct lens modelling of all candidates

Joseph, et al. 2014 Paraficz, et al, submitted Maturi et al. 2015

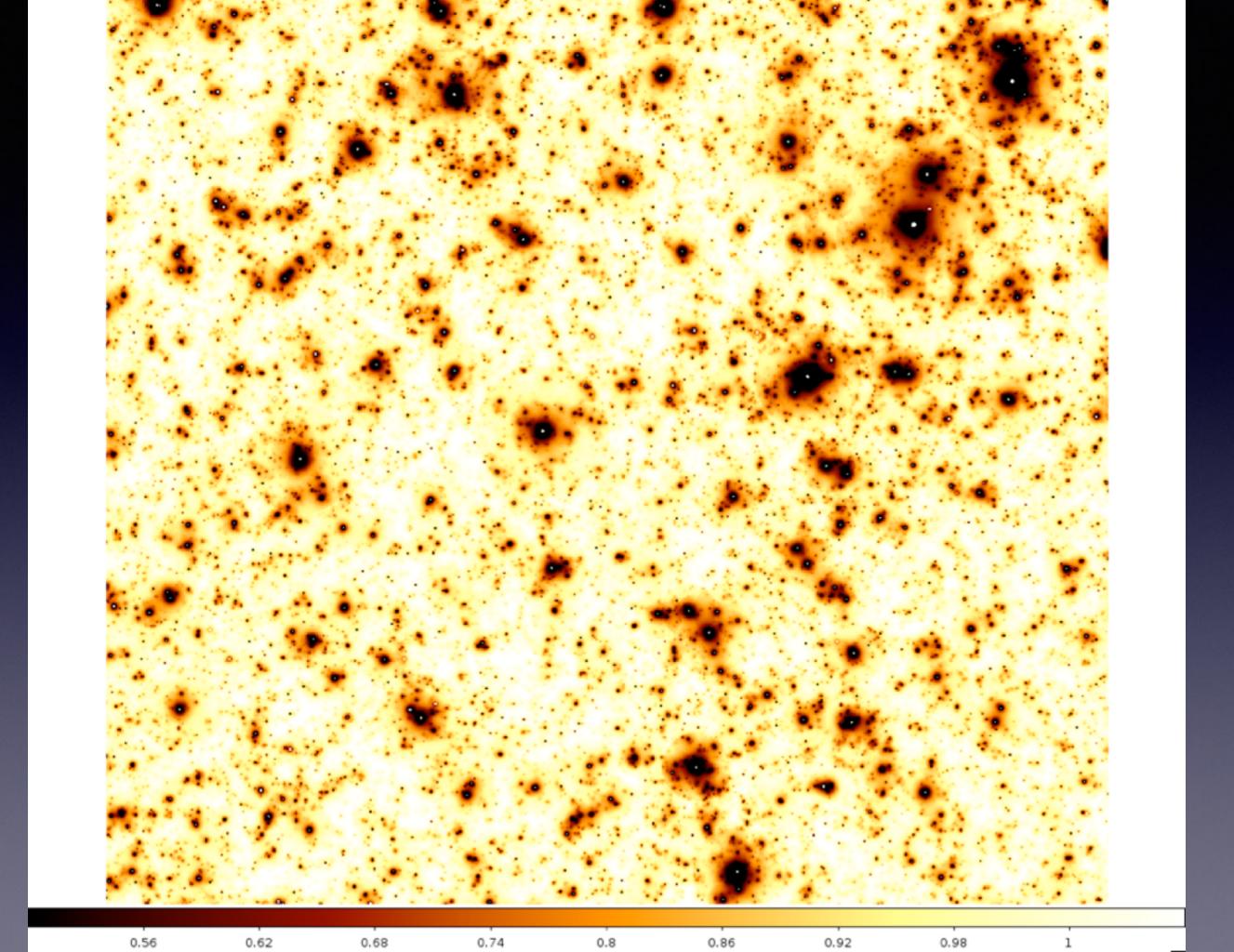
More, A. et al 2015

Strong Lens Simulations

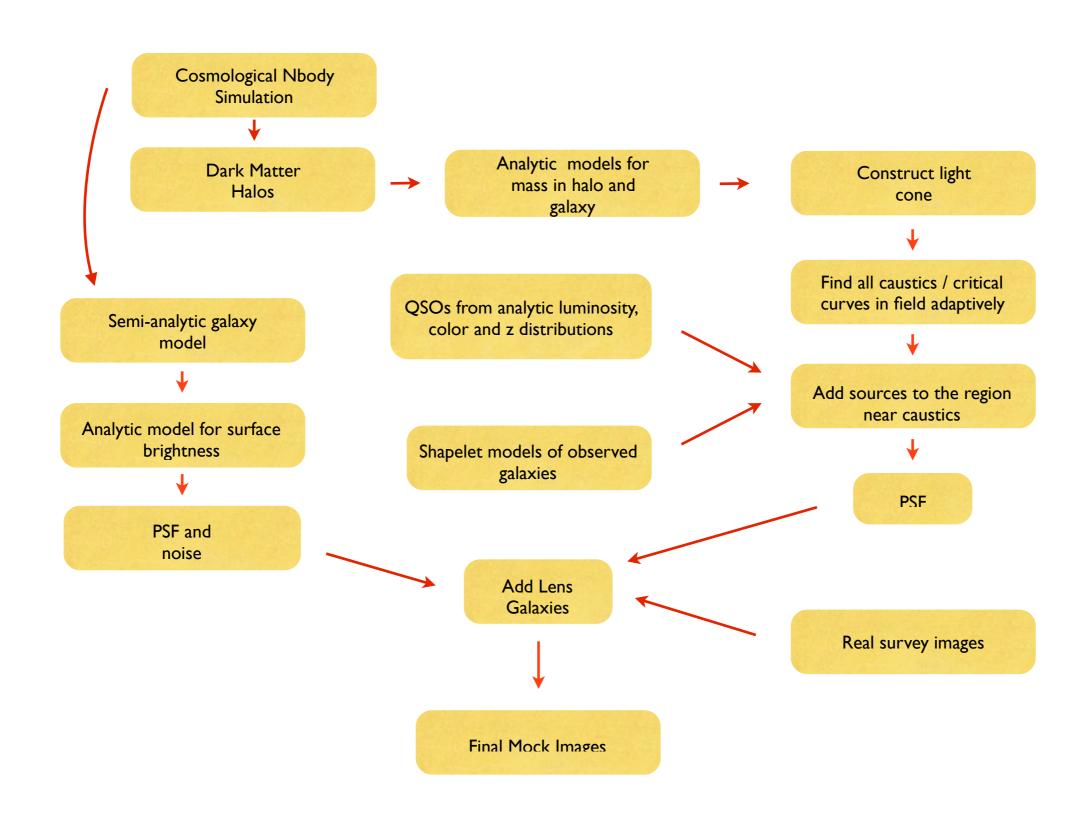
Large scale simulations of strong lenses

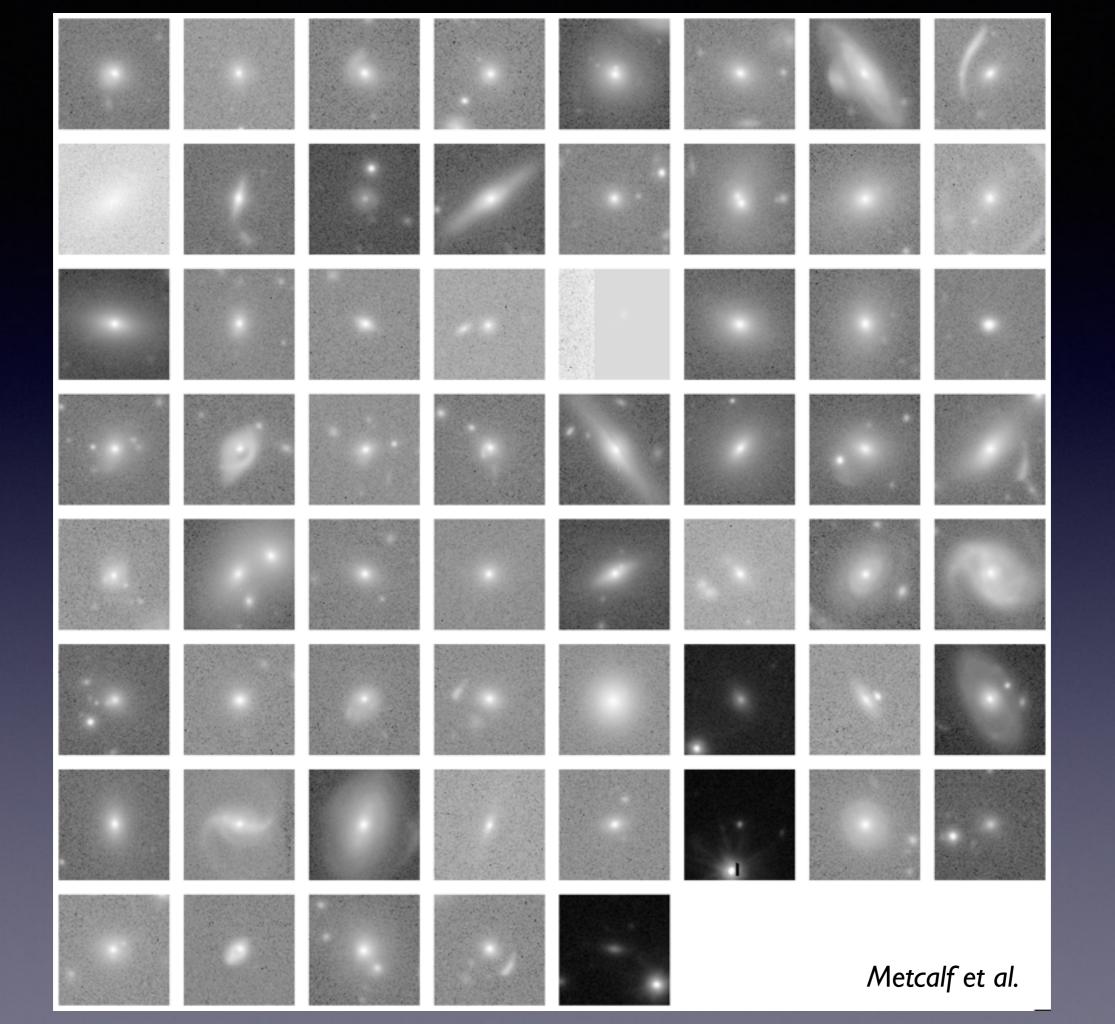
~ 1 million images of galaxy-galaxy lenses
multiple colors
realistic noise & psf that match survey
realistic source & lens surface brightness
realistic environment, full ray-tracing through light-cone

Available through the Bologna Lens Factory along with weak lensing and cluster lensing simulations

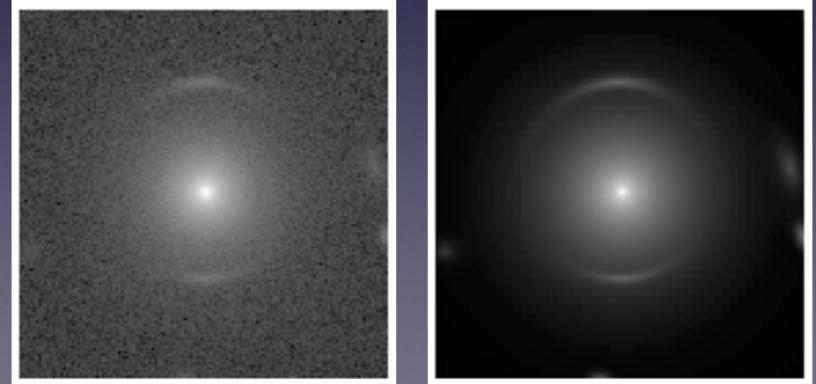


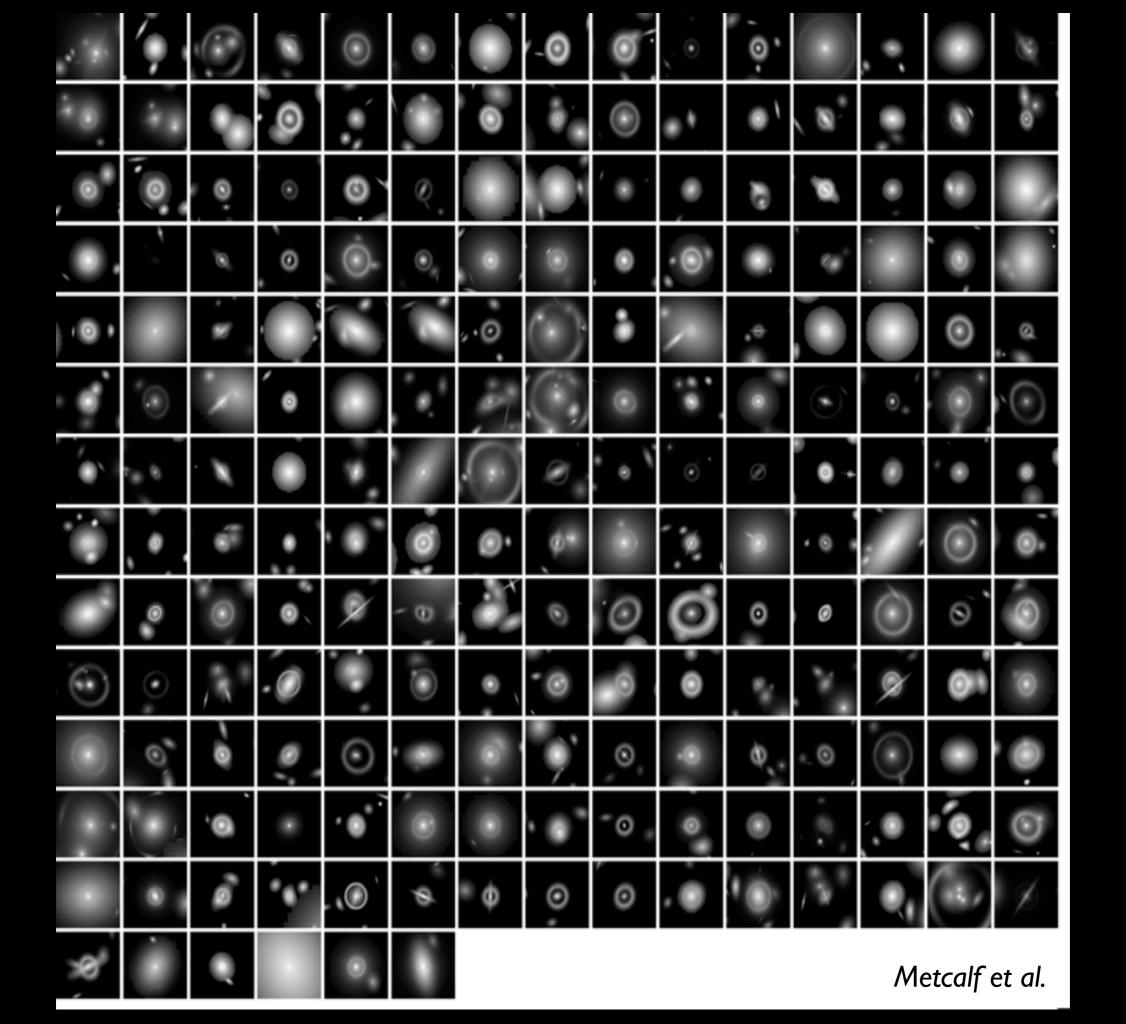
Galaxy-Galaxy Lens Simulations











Strong Lens Modelling

Conjugate Point	
Methods	

Forward Reconstruction Methods

Backward Reconstruction or Lens Inversion Methods

Points on the image that are identified as from the some source component are mapped back to the source plane and the distance between them is used as a penalty function.

Make a lens and source model. Trace back all images to the source plane and integrate the pixels to find an image that is compared on the image plane.

Make a lens model. Use lens model to project the image back onto the source plane. Impose a smoothness prior on the source to favour one model over another.

Computationally fast and easy

Computationally slower with large number of model parameters.

Computationally faster than the forward method, but implementations are not that fast.

Does not use all the data. Not always applicable with sooth source images.

Uses all the data and has good statistical foundation

Uses all the data, but is not complete statistically justified.

Used for QSO and all strong cluster lens analyses

Limited by large number of degrees of freedom

Uses in high resolution HST data with Einstein rings.

The LENSED lens modelling code

Tessore, N., Bellagamba, F., RBM, 2015, arXiv:1505.07674.

General purpose lens modelling code

Massively parallel GPU accelerated

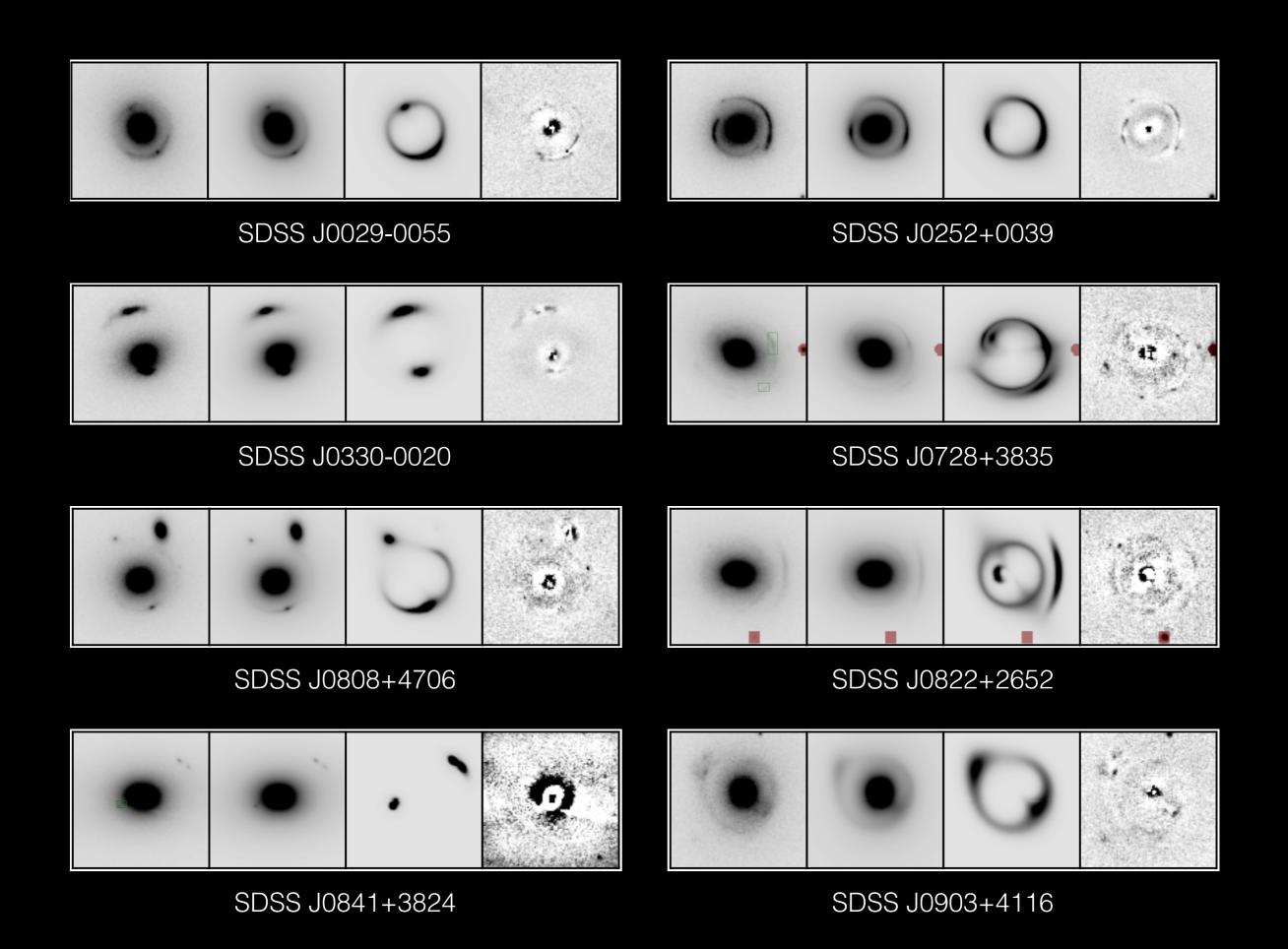
- > 1,000,000 rays/sec
- ~ 1,000 source & lens models / sec

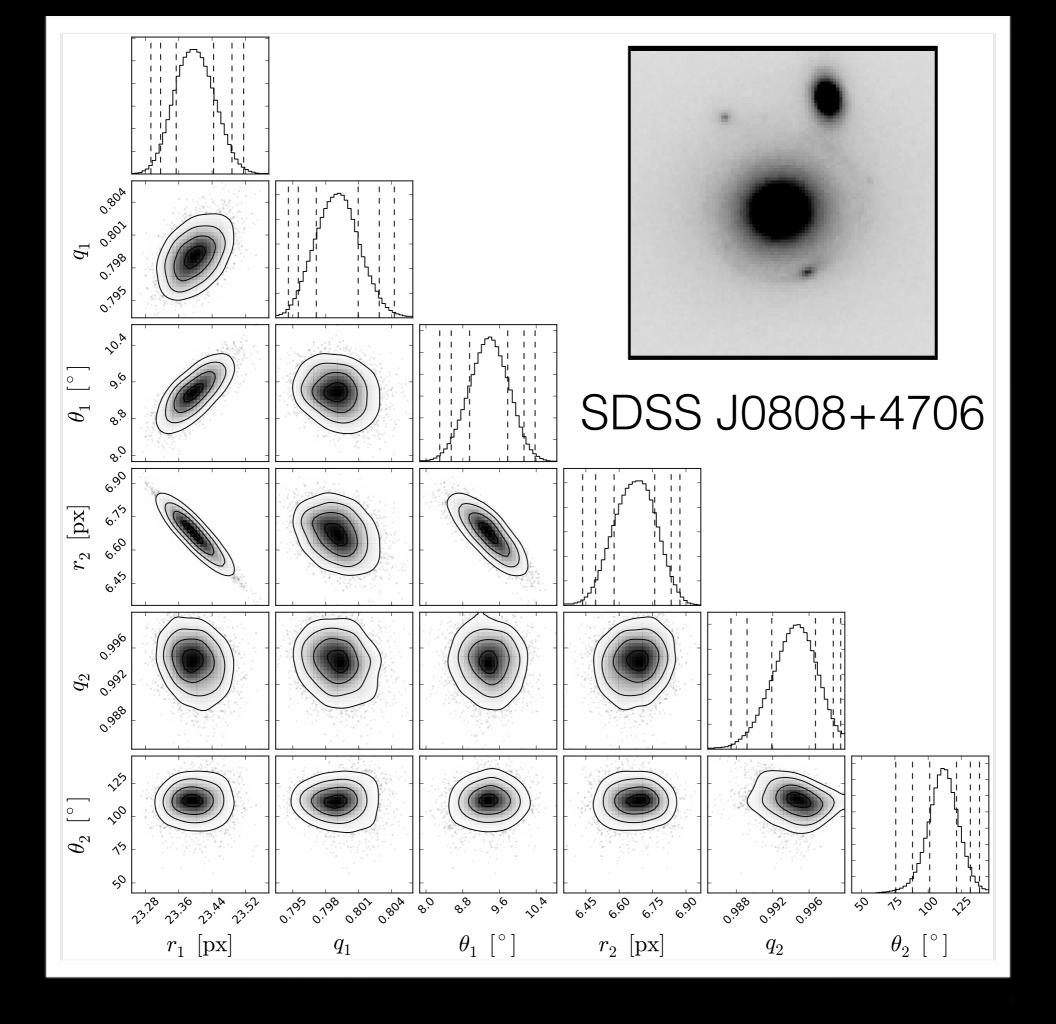
Full evidence calculation using nested sampling, MultiNest

Easy to use

Easy to extend - adding source or lens models is very easy

publicly available at http://glenco.github.io/lensed/



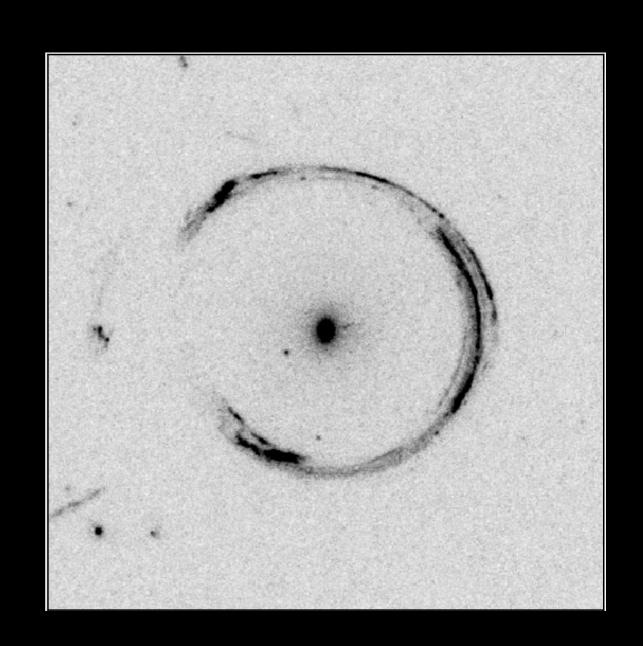


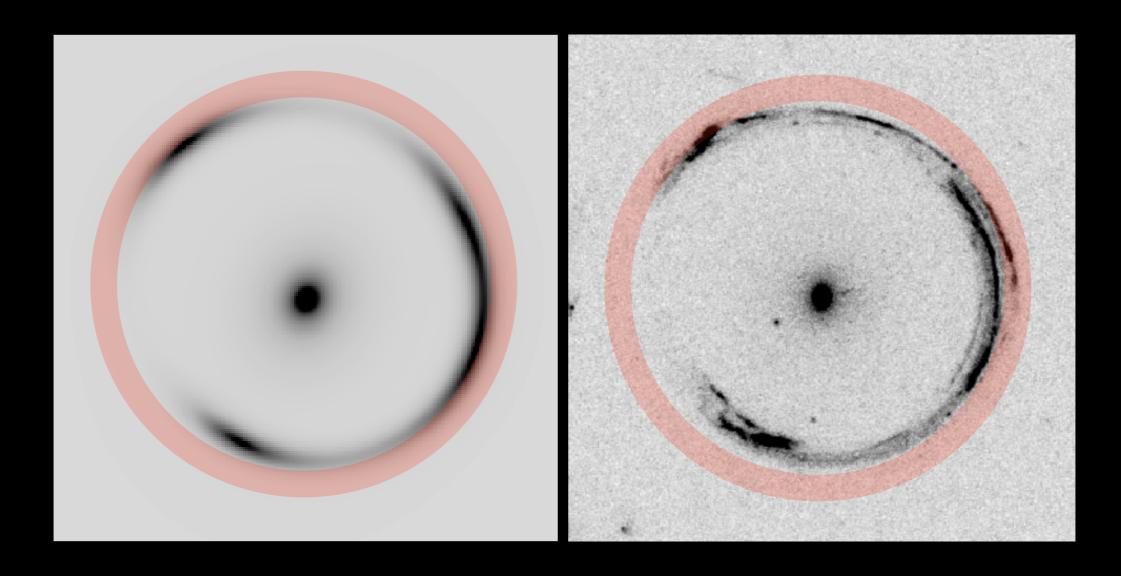
SDSS J1148+1930

- discovered in SDSS data by Belokurov et al. (2007)
- lens at z = 0.444 very well aligned with z = 2.381 source
- spectroscopy suggested a very large velocity dispersion
 σ_ν = 430 ± 50 km/s
- might be one of the most massive galaxies observed
- lensing analysis of *INT* data by Dye et al. (2008)

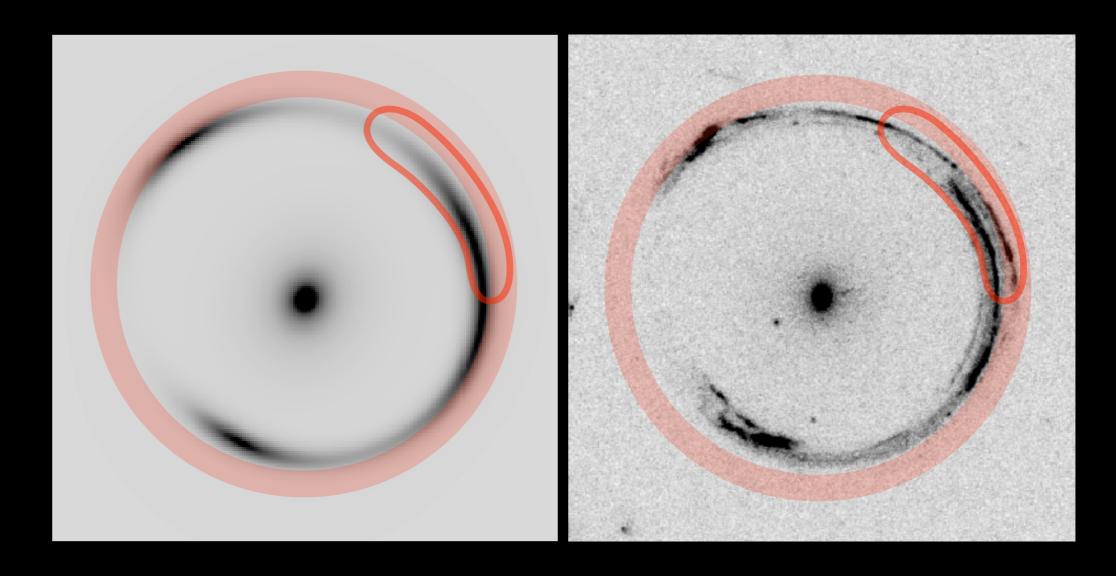


- apparently rediscovered by Diehl et al. (2009)
- follow-up observation by HST under proposal 11602 (2009)
- public data from *HST* in the *F475W*, *F606W*, *F814W* bands
- to date there is no lensing analysis of the HST data
- basis for reconstruction: F475W image

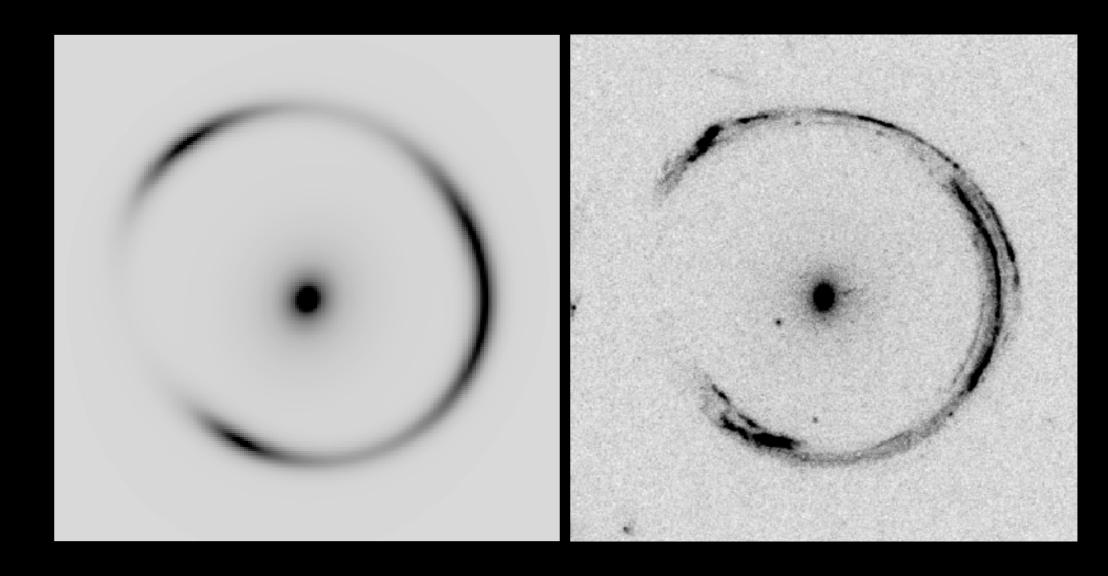




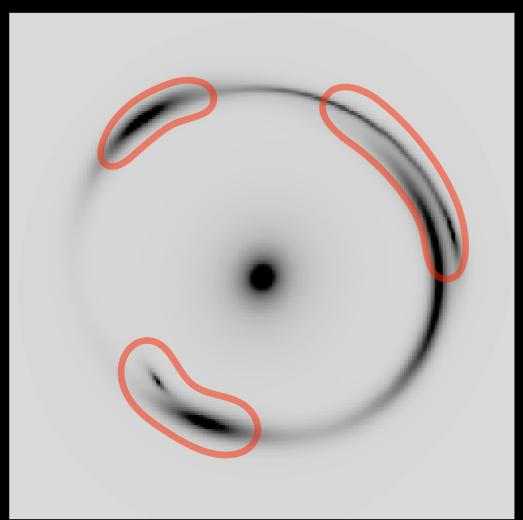
SIE, 1 Sérsic source

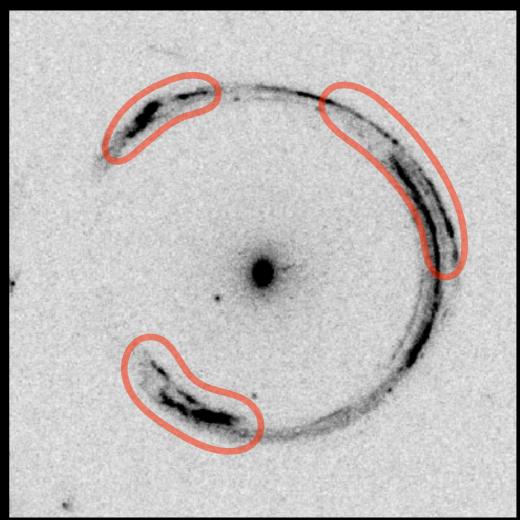


SIE + external shear, 1 Sérsic source

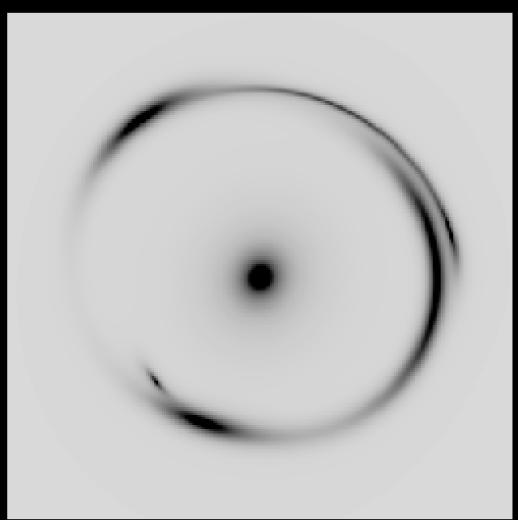


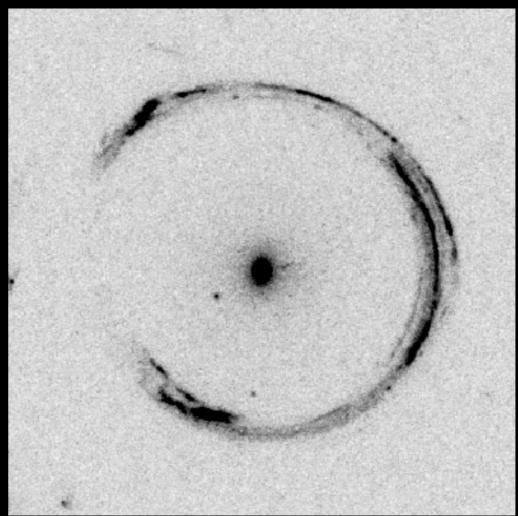
SIE + external shear, 1 Sérsic source



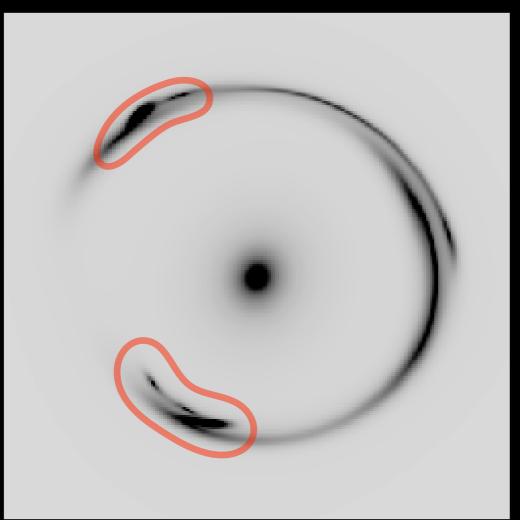


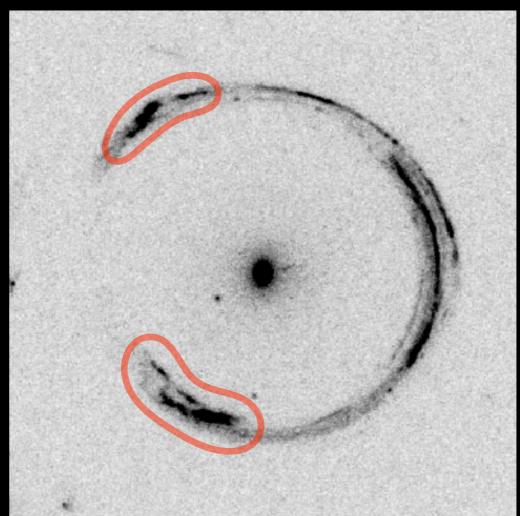
SIE + external shear, 2 Sérsic sources



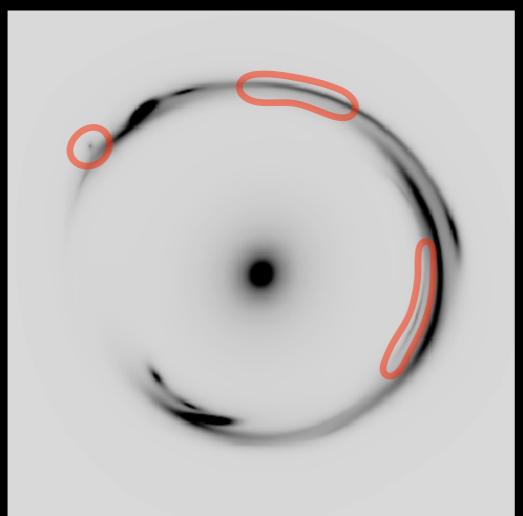


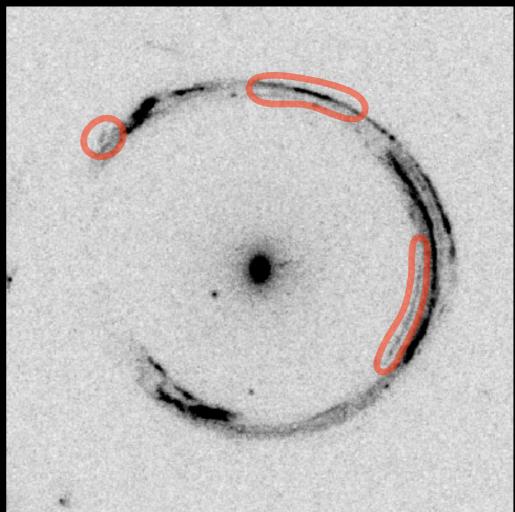
SIE + external shear, 2 Sérsic sources





SIE + external shear, 4 Sérsic sources





elliptical power law (Tessore & Metcalf 2015) + external shear, 6 Sérsic sources all principal features of the image are reconstructed

Conclusions

- Future surveys will increase the number of known strong lenses by orders of magnitude.
- These lenses will tell us many things about the distribution of matter around galaxies, groups and clusters - small scale structure, separation between dark matter and baryons or possible deviations from GR.
- They will tell us something about cosmology, but it will always be limited by modelling systematics and assumptions about the lenses' mass distribution.
- New tools are being developed to find and analyse strong lenses on a much larger scale.