

MICROSCOPE: Ready to test the Equivalence Principle in space

Joel Bergé (ONERA)
on behalf of the Microscope team

Micro-Satellite à traînée Compensée pour l'Observation du Principe d'Equivalence
Drag-free microsatellite for the observation of the Equivalence Principle



return on innovation

Joel Bergé, 28th Texas Symposium, 12/17/2015

Weak Equivalence Principle

a.k.a the universality of free fall

All test bodies follow the same universal trajectory in a gravitational field, independently of their mass, detailed internal structure and composition.

For all test bodies, the inertial mass and the gravitational mass are equal: $m_i = m_g$

$$F = m_i a$$

$$F_g = m_g g$$

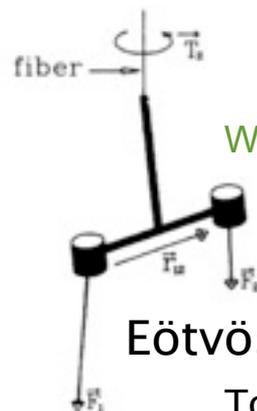
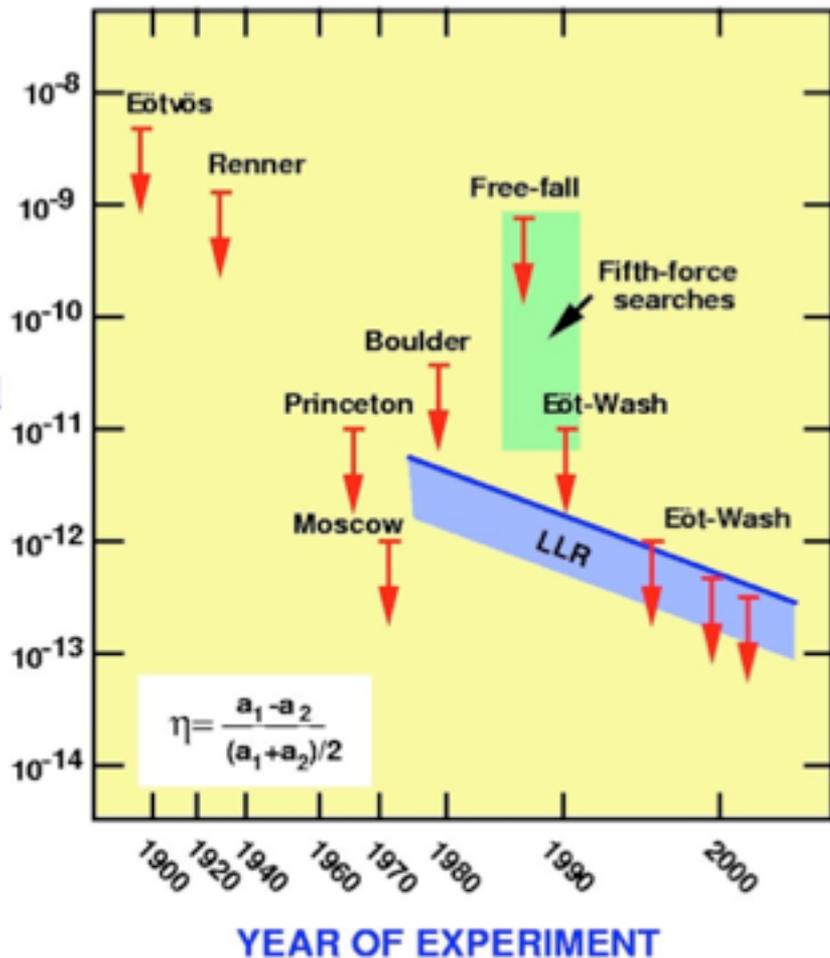
Precision measured in terms of the Eötvös ratio

$$\eta_{1,2} = \frac{a_1 - a_2}{(a_1 + a_2)/2} = \frac{(m_g/m_i)_1 - (m_g/m_i)_2}{[(m_g/m_i)_1 + (m_g/m_i)_2]/2}$$

WEP tests up to now

TESTS OF THE WEAK EQUIVALENCE PRINCIPLE

Will 2006



Wagner+ 2012

Eötvös, Eöt-Wash
Torsion balance

Figure 1. Operating principle of the Eötvös torsion balance. This idealized balance consists of two test bodies attached to a rigid, massless frame that is supported by a perfectly flexible torsion fiber. F_1 and F_2 denote the external forces on the test bodies. The torque about the fiber axis is $T_z = (F_1 \times r_1)_{\parallel} + (F_2 \times r_2)_{\parallel}$. The signal is the change in T_z when the instrument is rotated about the fiber axis so that the component of $r_{1,2}$ along the direction of $F_1 \times F_2$ changes sign.

Lunar Laser Range Williams+ 1996

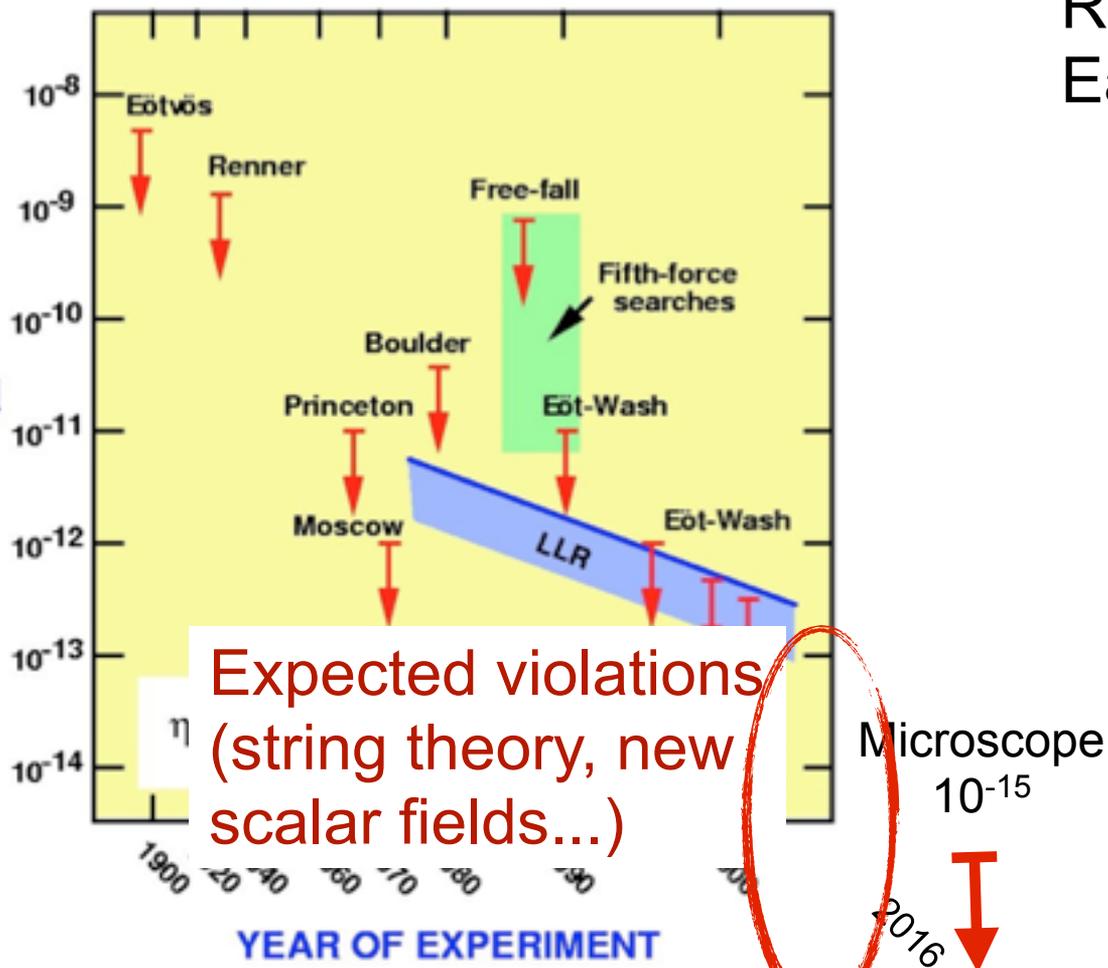
Probes fall of Earth and Moon towards the Sun



The near future, what to expect?

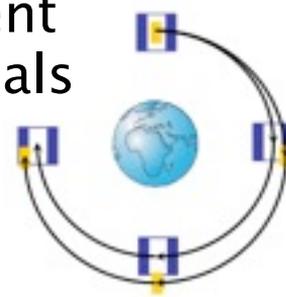
TESTS OF THE WEAK EQUIVALENCE PRINCIPLE

Will 2006



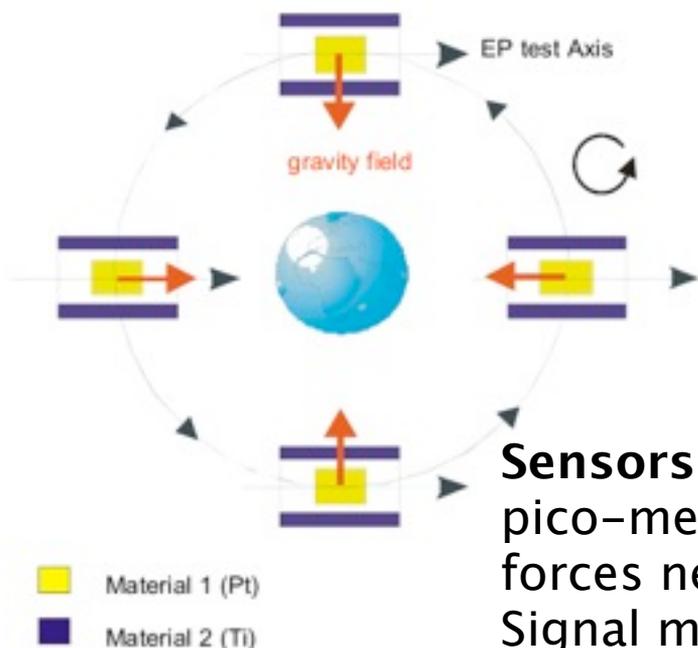
Reaching the limits on Earth => go to space

Free fall of different materials

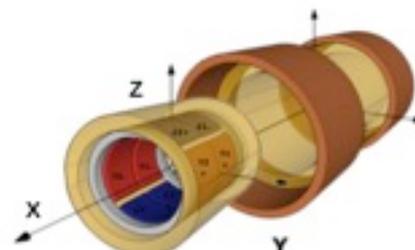


Both masses do not have the same orbit

MICROSCOPE measurement principle



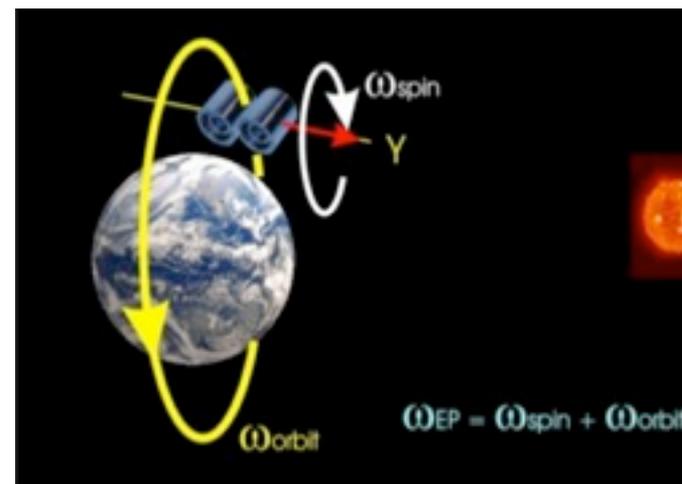
Differential electrostatic accelerometer:
2 coaxial cylindrical inertial sensors



Sensors forced to follow the same orbit (permanent pico-meter control) => we measure the electrostatic forces needed to keep the sensors centered.
Signal measured along an ultra-sensitive axis.

Source: gravity field modulated by satellite's motion around the Earth
=> sine of known frequency f_{EP} that can be varied by either:

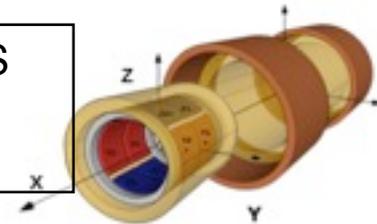
- Keeping the satellite in inertial motion
- Or spinning it



MICROSCOPE in a nutshell

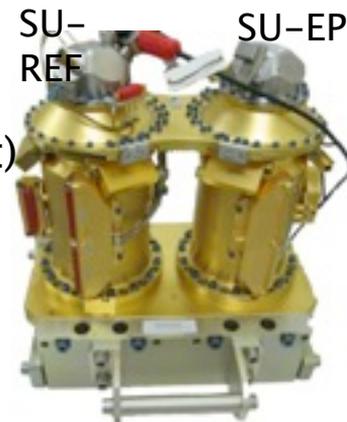
Dedicated space instrument for EP violation tests

PI: Pierre Touboul (ONERA), in collaboration with OCA Nice and CNES
Instrument + Data processing and analysis: ONERA / OCA Nice
Satellite: CNES



Satellite

- drag compensation (**residual** $< 10^{-12} \text{ ms}^{-2}$ @ f_{EP}) and fine attitude control (**angular stability** $< 7 \mu\text{rad}$, **velocity** $< 10^{-9} \text{ rad/s}$ + **acceleration** $< 10^{-11} \text{ rad/s}^2$ @ f_{EP}) => very sensitive 6-axis sensor and very fine actuators
- fine passive thermal control ($\sim \text{mK}$ @ f_{EP}) and soft electromagnetic environment
- satellite position on orbit known at $< 7 \text{ m}$
- no mechanism (minimize micro-disturbances eg changes in self-gravity)
- magnetic shield for the payload

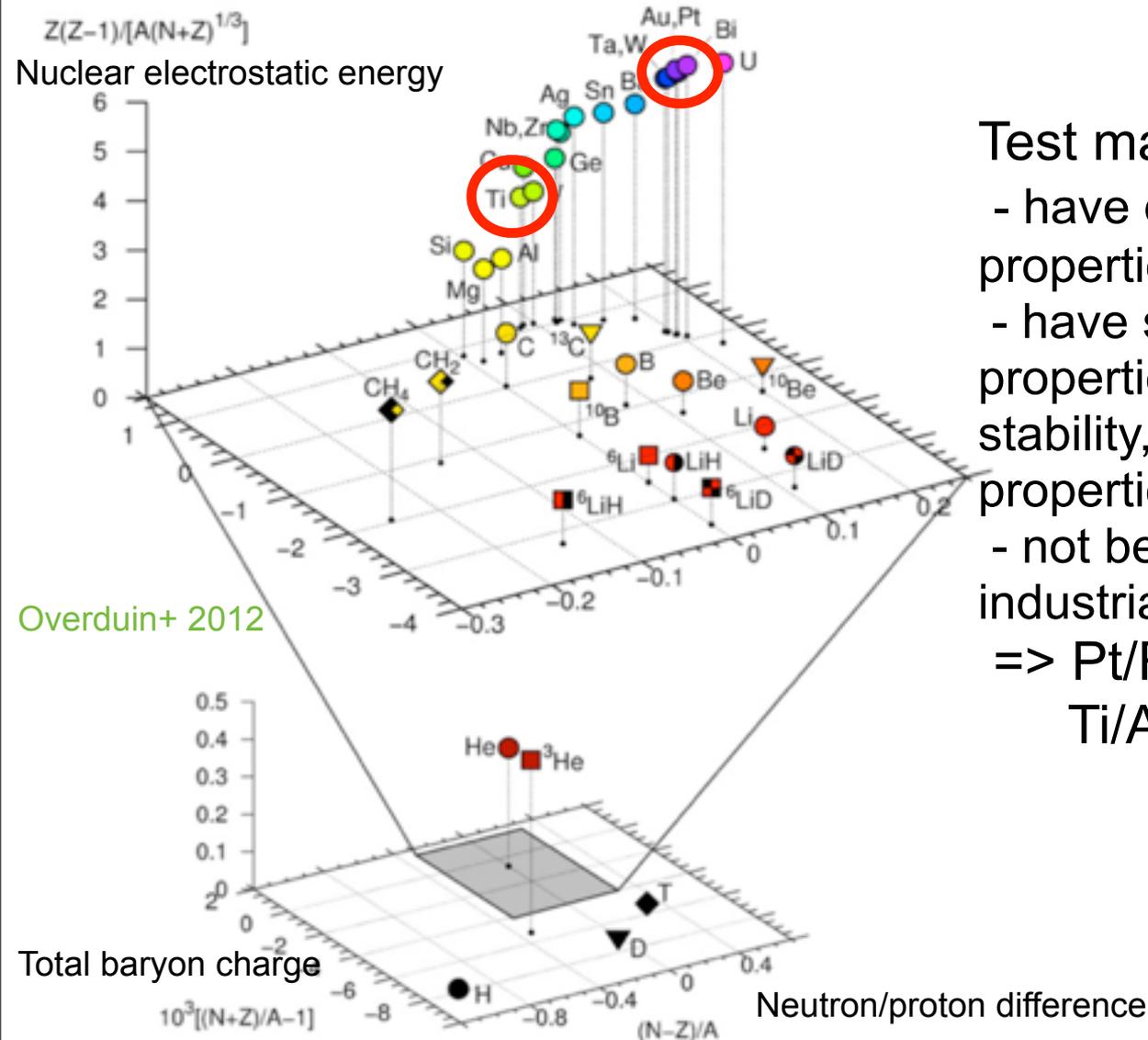


Payload: T-SAGE (Twin Space Accelerometer for Gravitation Experiment)

Two differential electrostatic accelerometers (Sensor Units):

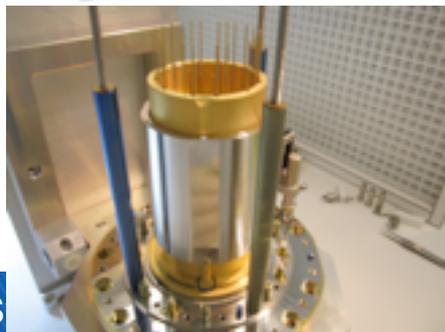
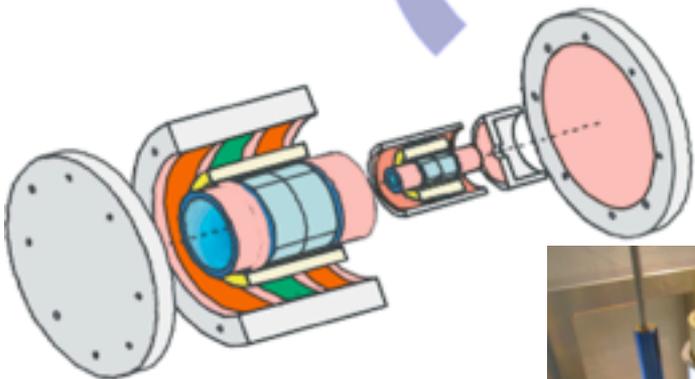
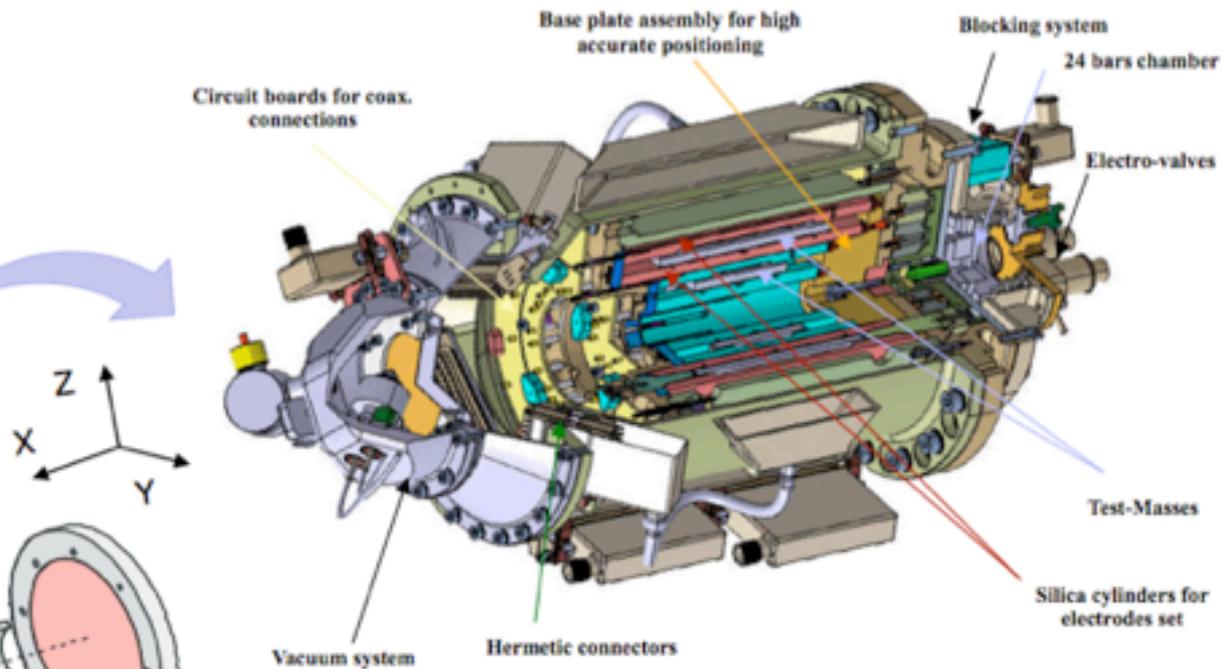
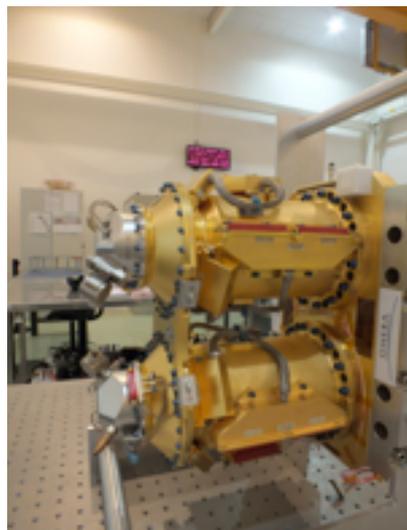
- Each accelerometer made of 2 coaxial cylindrical accurate test masses (**relative dissymmetry of moments of inertia** $< 7 \times 10^{-4}$, **inhomogeneity** $\sim 10^{-4}$)
- One with test masses of same composition (Pt/Rh) for reference
- The other one with test masses of different composition (Pt/Rh - Ti) for EP test

Why Pt/Rh and Ti test masses?



- Test masses should:
- have different nuclear properties to maximize signal
 - have special macroscopic properties (homogeneity, chemical stability, electrical and magnetic properties)
 - not be too difficult to machine industrially
- => Pt/Rh alloy (90%, 10%)
 Ti/Al/V alloy (90%, 6%, 4%)

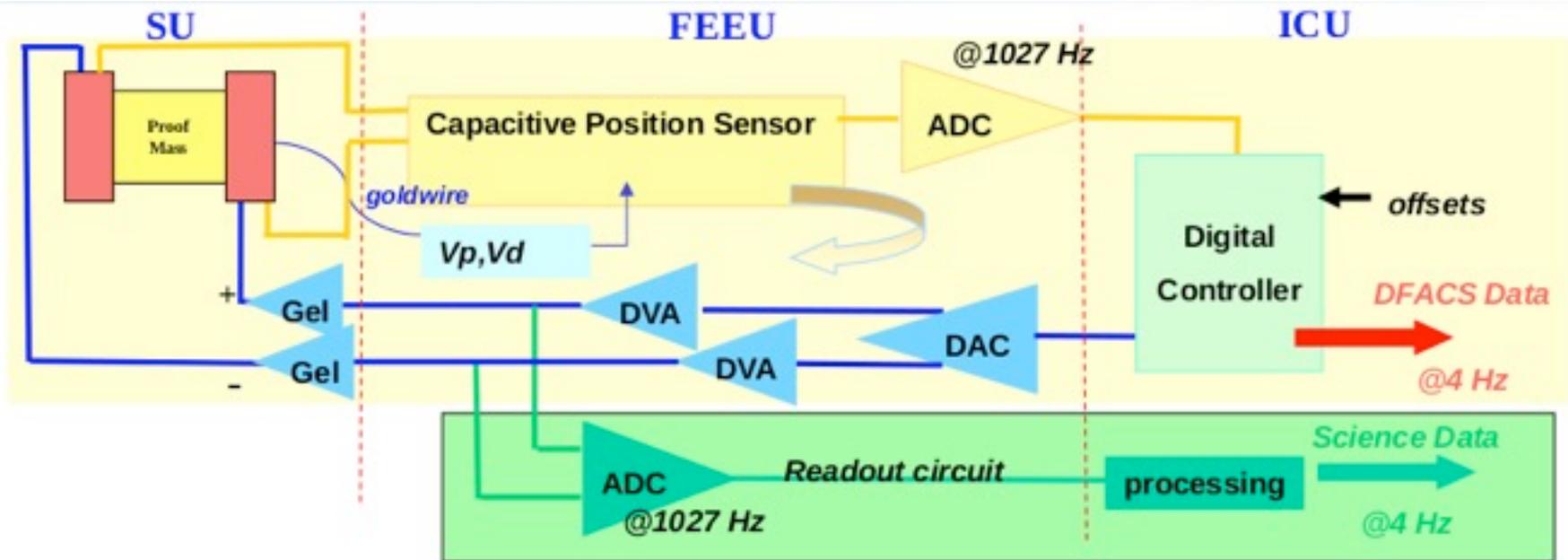
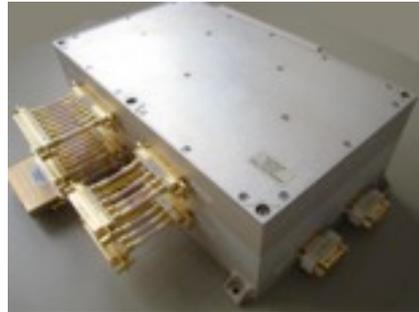
T-Sage Sensor Unit



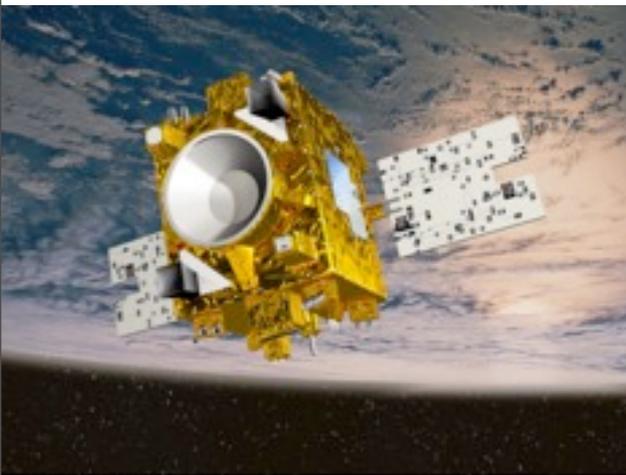
- Precise test-mass servo positioning thanks to
- accurate machining
 - accurate metrology and integration
 - low noise electronics
 - thermal stability

Servo-loop control

Electronics control test mass' position.



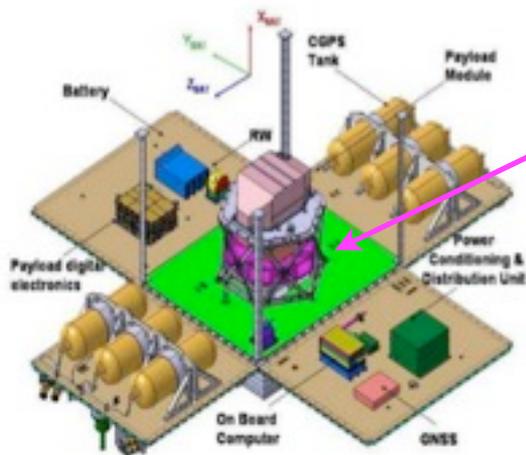
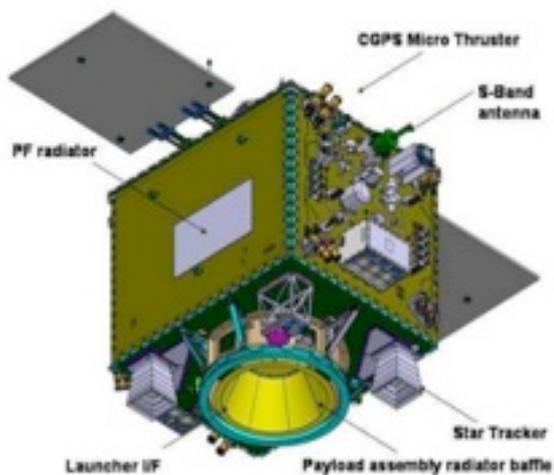
Satellite



CNES Myriade satellite

- almost “Off-the-shelf” modular micro-satellite
- series of satellite (Demeter, Parasol, Picard)
- mass: 325 kg
- dimensions: 1380 mm x 1040 mm x 1580 mm
- Cold Gas propulsion system -> developed by CNES with major ESA contribution

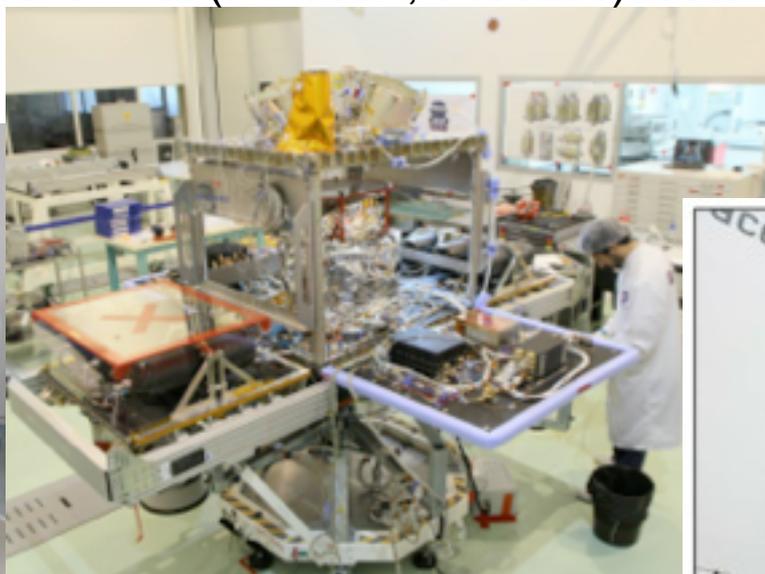
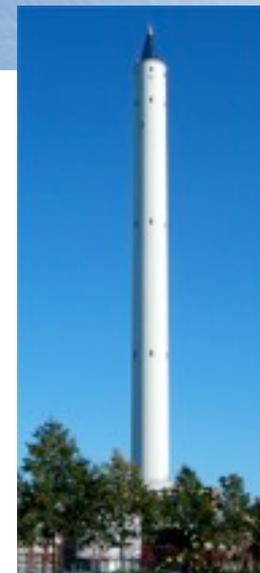
© CNES - Juillet 2012 / Illustr. D. Gomez



- Payload Assembly System:
- thermally insulates SU and FEEU from the satellite (autonomous passive thermal control)
 - magnetically shields SU

Status

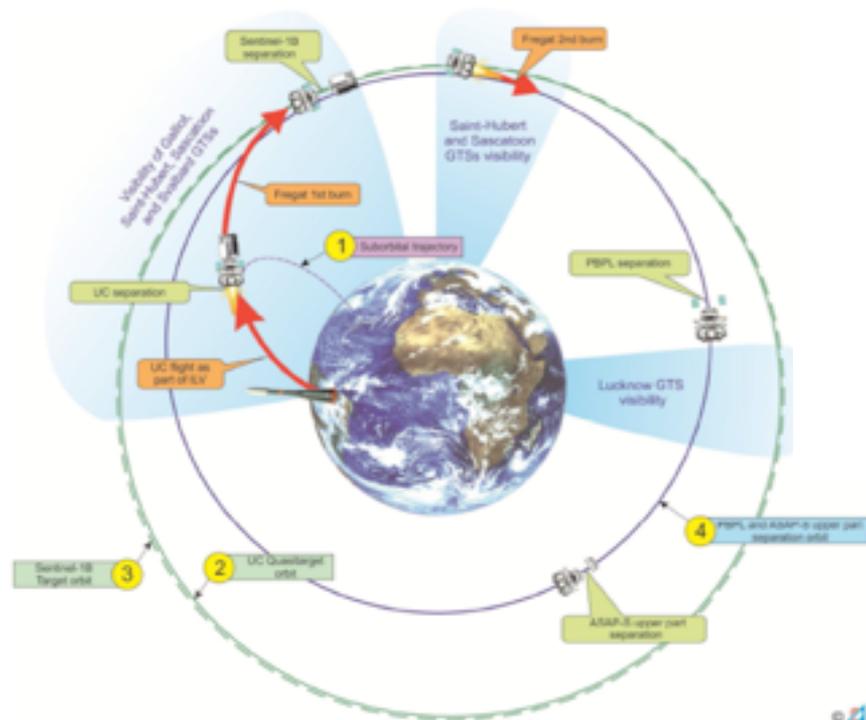
- Free fall tests (ZARM tower): Feb. / Mar. 2014
- Sensor cores delivered Sept. 2014
- Electronics qualified and delivered Oct. 2014 / Mar. 2015
- Satellite's physical properties measurements (mass, center of gravity tuning and location) Nov. 2015
- Satellite's mechanical (vibration, acoustic) tests Nov/Dec 2015



Steps to the launch

- Final reference and performance tests: January 2016
- Final satellite configuration setting: early February 2016
- Transport to Kourou February 19, 2016

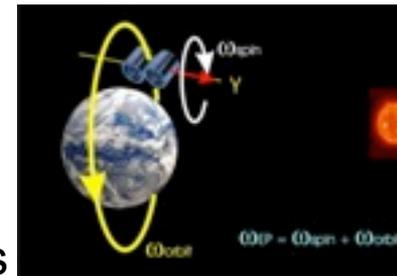
- Launch April 2016



Exploitation phase

What must be done...

- accurate measurements of the WEP test in various configurations
 - inertial pointing with 2 orientations at ascending node
 - spinning pointing at 2 different frequencies
 - modify test masses off-centering
- validate the performance
 - accurate in-flight calibration of the major driving parameters
 - accurate characterization of the instrument thermal behavior and sensitivity to other parameters



... under some constraints

- limited gas quantity for the thrusters => priorities established, no improvisation during the mission
- operational security => need of planning in advance what to do and how

Nominal mission duration: 2 years

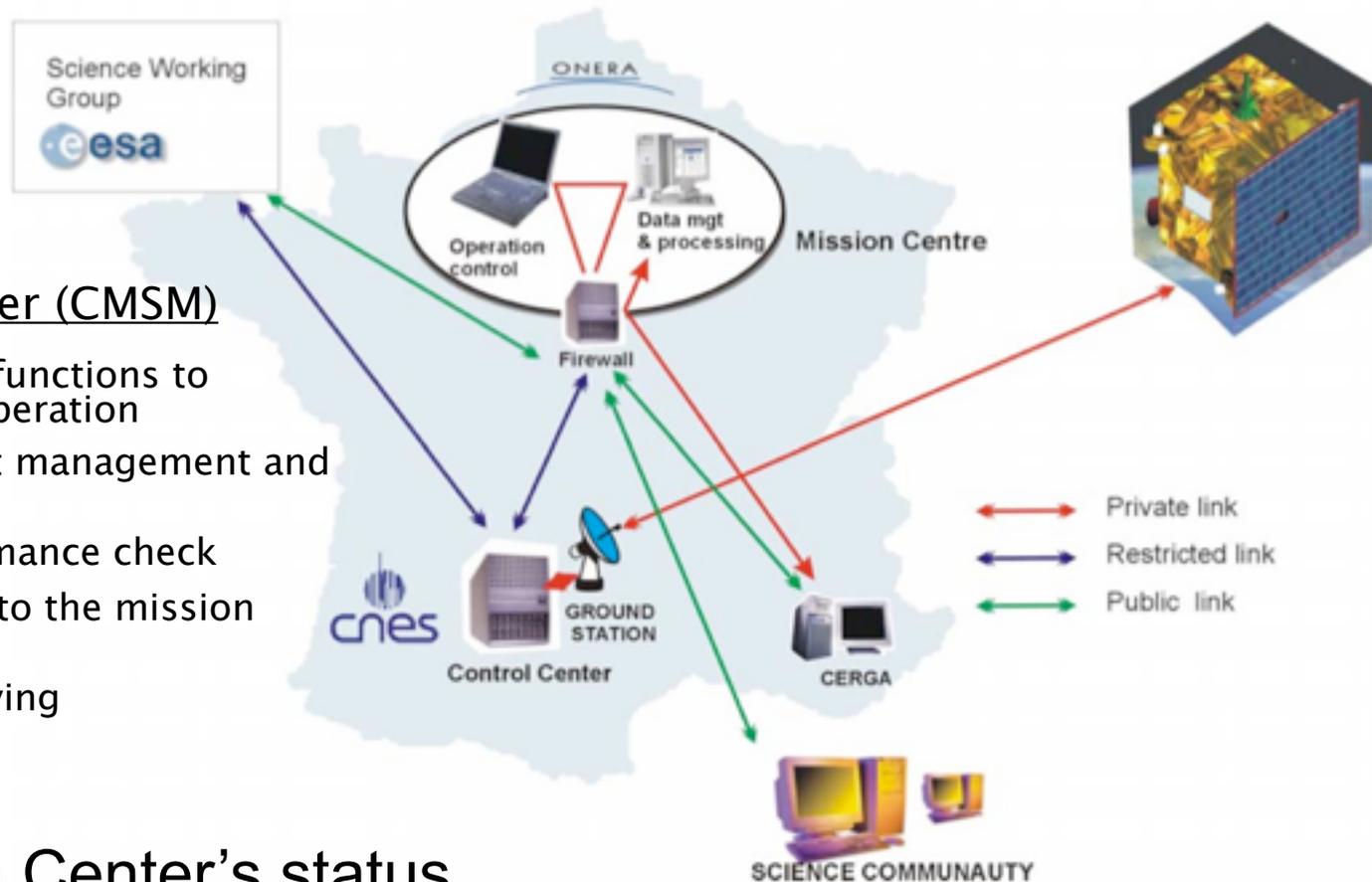
Ground segment / Science Mission Center

Science Mission Center (CMSM)

- Ensure all operational functions to maximize instrument's operation
- Day-to-day instrument management and monitoring
- Weekly mission performance check
- Propose modifications to the mission scenario
- Data release and archiving

Science Mission Center's status

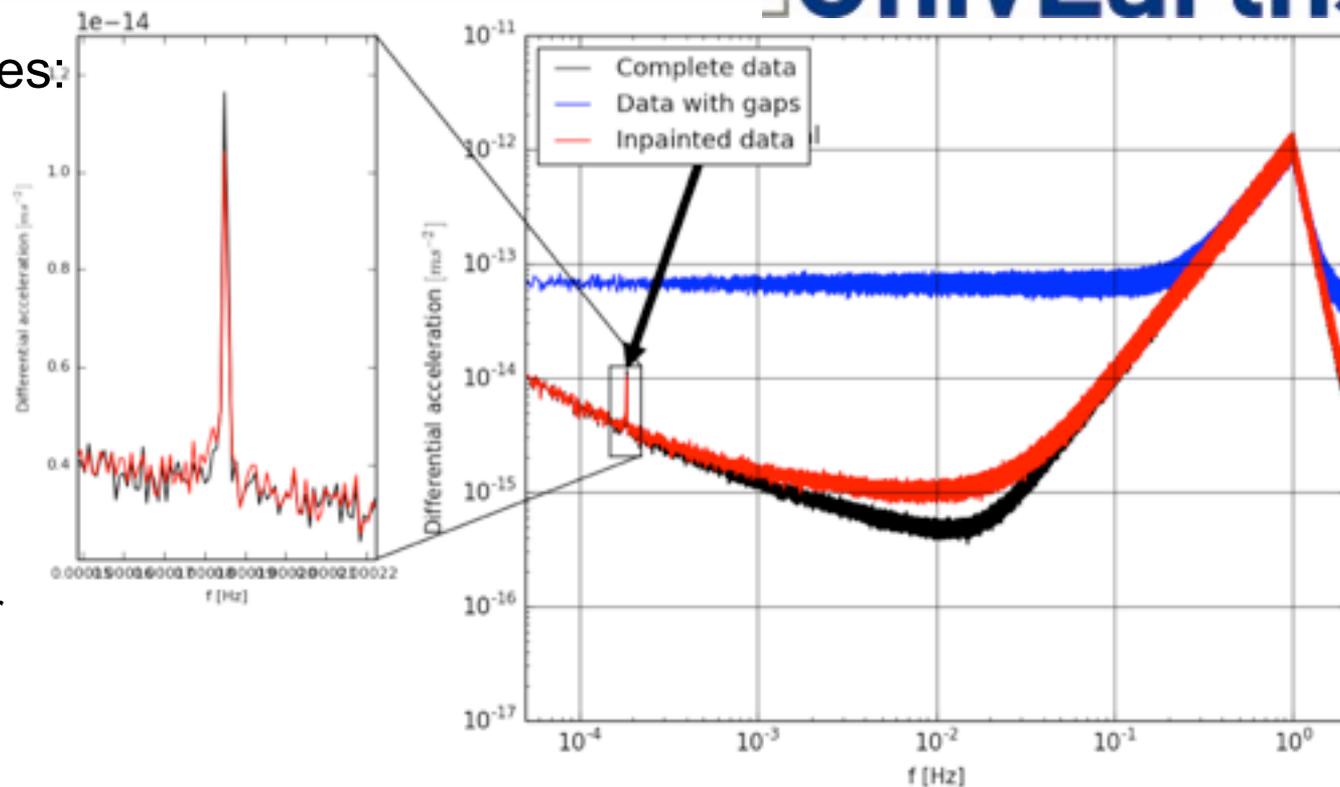
- Instrument's monitoring softwares developed, under tests
- Development of data processing software in progress
- Technical/Operation qualification with CNES underway



Missing data causes:

- telemetry loss
- micrometeorite impacts
- crackles due to tankers, coating

Only ~2% missing data, but spectral leakage of high frequency into lower frequency



- Development of the KARMA method: optimal Least-Square fit with missing data (Baghi+ 2015)
- Adaptation of the *inpainting* method (Bergé+ 2015, Pires+ 2016) to fill in gaps with statistically similar signal: extrapolation of missing data using a sparsity prior.

Conclusions

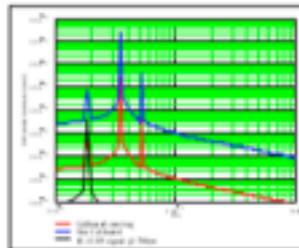
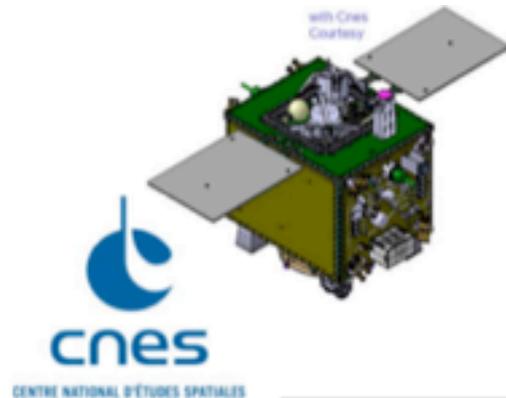
- MICROSCOPE will test the Weak Equivalence Principle in space down to an accuracy of 10^{-15} (2 orders of magnitude better than current constraints)
- Test of fundamental physics, may rule out new theories that predict an EP violation around 10^{-14} , or even GR
- Will show that the technology is ready for extremely fine satellite attitude control and precise drag-free system
- Launch expected in April 2016
- Results in 2017

Take away ballpark number: 10^{-15} , what does that mean?

In orbit, at 710 km, $g=8 \text{ ms}^{-2} \Rightarrow \text{WEP: } 8 \times 10^{-15} \text{ ms}^{-2}$

- ➡ At $8 \times 10^{-15} \text{ ms}^{-2}$, a pedestrian walking at a speed of 5 km/h will take more than 5.5×10^6 years to stop and will go 3×10^6 times around the Earth
- ➡ Difference of weight of a 400 meter-long, 500000 ton-supertanker, with or without of 0.5 mg drosophilia on board

Partners



What we measure: differential acceleration

EP violation signal

$$\delta = \frac{m_{g2}}{m_{I2}} - \frac{m_{g1}}{m_{I1}}$$

Earth gravity gradient tensor: *model, S/C position and attitude*

Instrument's moments of inertia: *minimized by AOCS from SST and instr. data*

Separation between test masses' centers: *minimized by instrument design*

Coriolis acceleration

Relative acceleration

Non-gravitational accelerations => *drag-free system*

$$\vec{\Gamma}_{\text{meas,d}} = [\mathcal{M}_c] \left(\delta \vec{g} + ([\mathcal{T}] - [\mathcal{I}n]) \vec{\Delta} - 2[\Omega] \dot{\vec{\Delta}} - \ddot{\vec{\Delta}} \right) + \vec{K}_{0,d} + [\mathcal{M}_d] \left(\vec{\Gamma}_{\text{app,c}} + \frac{\vec{F}_{\text{ext}}}{M_{\text{Isat}}} + \frac{\vec{F}_{\text{th}}}{M_{\text{Isat}}} \right) + \frac{1}{2} K_{2,i} \Gamma_{\text{App},i}^2 - \frac{1}{2} K_{2,j} \Gamma_{\text{App},j}^2 + \vec{\Gamma}_{\text{n,d}} + [\mathcal{C}_d] \dot{\vec{\Omega}}$$

Bias difference: *limited thermal fluctuations*

Differential mode sensitivity matrix: *estimated by in-flight calibration*

Quadratic factor

Total acceleration applied to proof-mass

Angular-linear couplings

Instrument noise

Common mode sensitivity matrix: *estimated by in-flight calibration, limited by design*

$$\begin{pmatrix} K_{cx} & \eta_{cz} + \theta_{cz} & \eta_{cy} - \theta_{cy} \\ \eta_{cz} - \theta_{cz} & K_{cy} & \eta_{cx} + \theta_{cx} \\ \eta_{cy} + \theta_{cy} & \eta_{cx} - \theta_{cx} & K_{cz} \end{pmatrix}$$

Scale factor

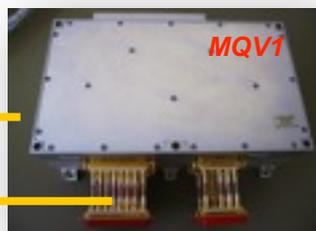
Coupling between instrument's axes

Instrument's axes / satellite reference frame alignment

Full instrument



360 x 348 x 180 mm³ - 25kg



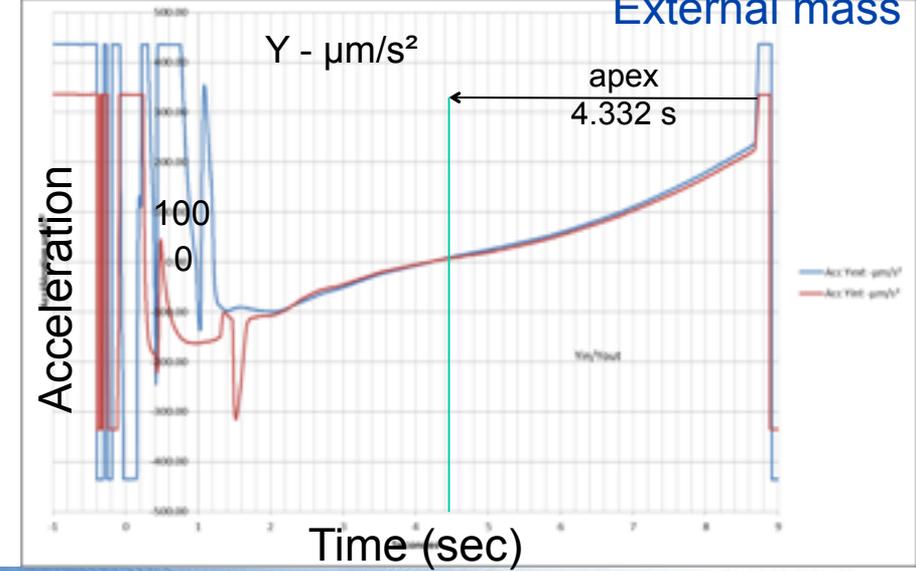
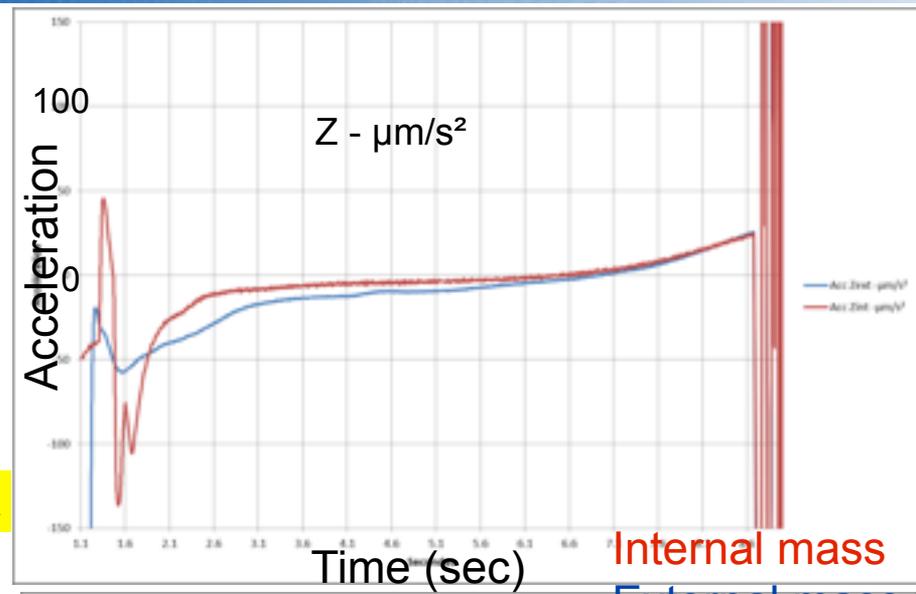
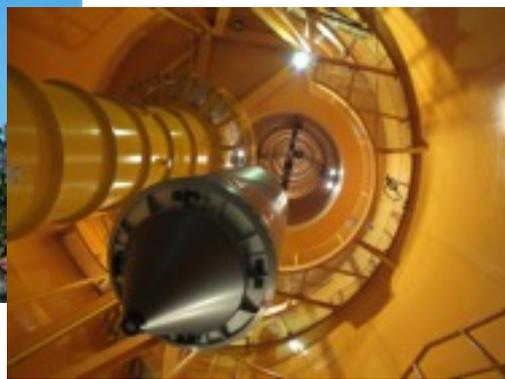
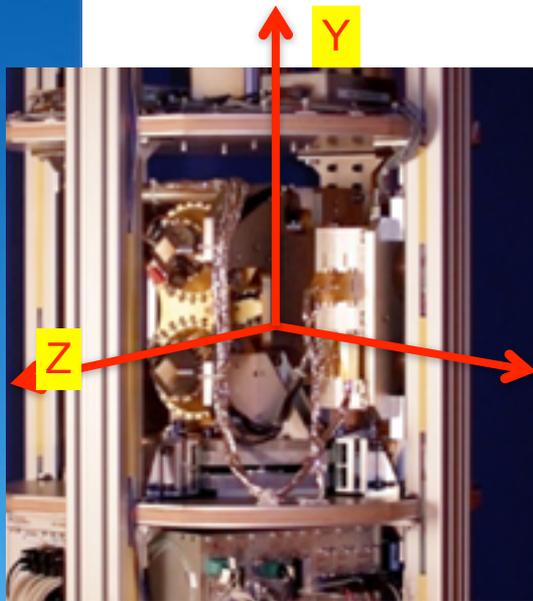
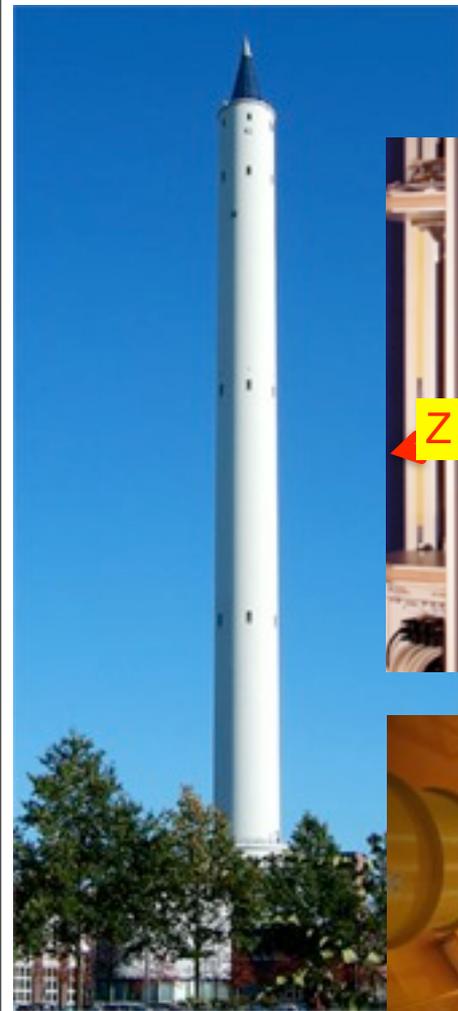
2 x { 28 cm x 17 cm x 9 cm - 3.5kg - 7W }



30 cm x 25 cm x 11 cm - 5kg - 2 x 11W

- **Sensor Unit (SU) = differential accelerometer**
 - **2 SU** on a Mechanics Interface (SUMI)
 - Each SU = 2 concentric Test-Masses (**Pt-Rh/Pt-Rh** or **Ti/Pt-Rh**)
 - Each mass = inertial sensor (defines measurement frame)
- **Front End Electronics Unit (FEEU)**
 - **Low noise analog electronic** with high stability
 - One FEEU for each SU
 - Each FEEU = measure + electrostatic control of 6 degrees of freedom
- **Interface Control Unit (ICU)**
 - 2 ICU stacked = ICUME
 - 1 ICU for each FEEU
 - Each ICU embarks 1 **DSP** + 1 **FPGA** for test-mass control and data conditioning for the On Board Computer
 - Each ICU embarks 2 **Power Control Unit** (1 nominal + 1 redundant) which converts the sat 28V in very stable secondary voltages (+/-48V, +/-15V, +5V, 3.3V)

Catapult tests at ZARM drop tower (February - March 2014)



Noise budget

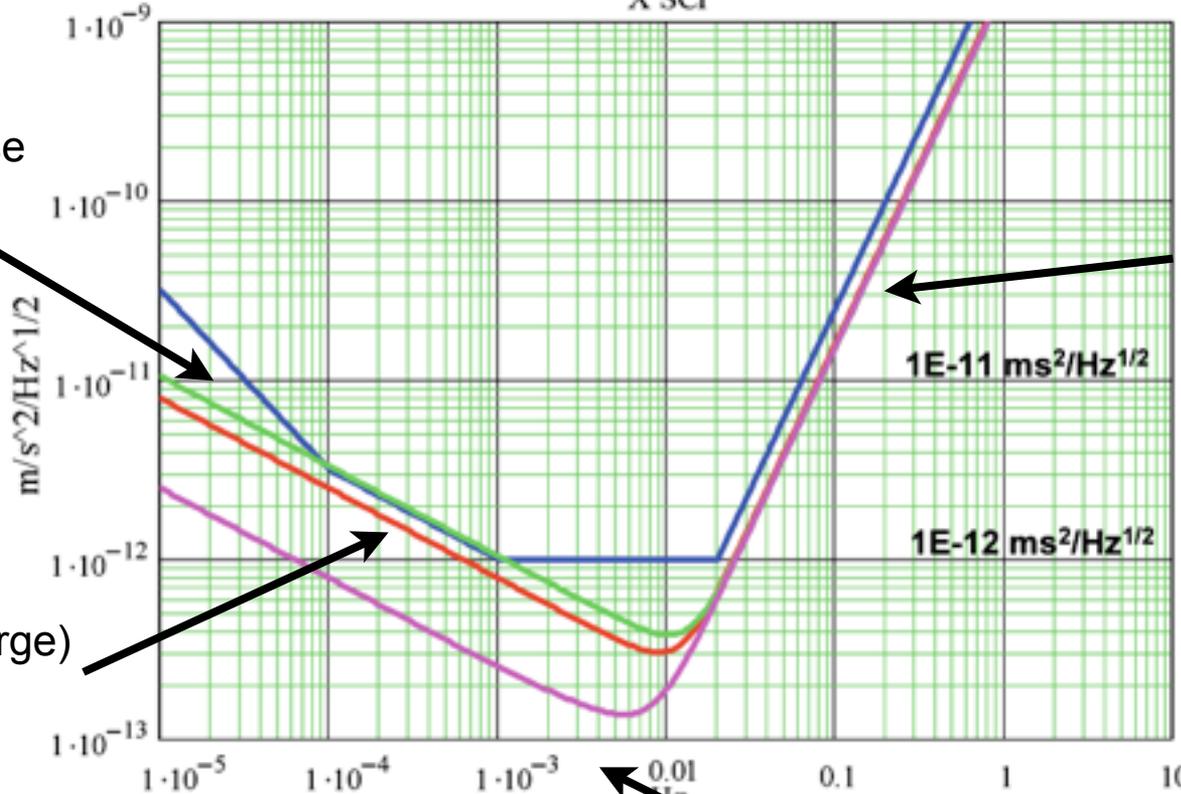
Touboul 2009

X SCI

Thermal noise

Capacitive position sensing noise

Gold (discharge) wire noise



- requirement
- SU-EPI/SU-RFI
- SU-EPE
- SU-RFE

Readout electronics noise $\sim 0.8\mu\text{V}/\text{Hz}^{1/2} \rightarrow 10^{-13} \text{ ms}^{-2}/\text{Hz}^{1/2}$

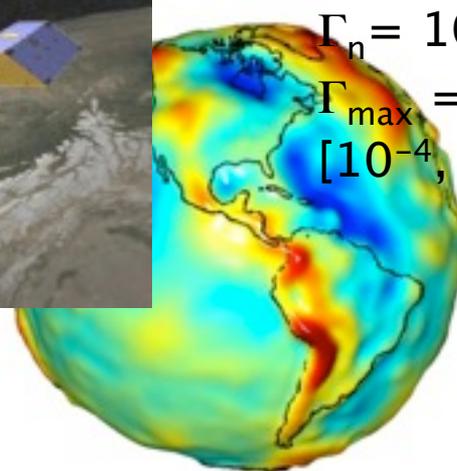
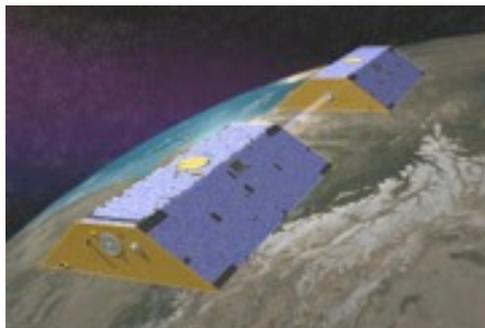
specs

- Drag-free system
 - Needs a sensitive 6 axis sensor and fine actuator
 - Drag-free $< 10^{-12} \text{ ms}^{-2}$ at f_{EP}
 - Angular stability: velocity $< 10^{-9} \text{ rad/s}$ + acceleration $< 10^{-11} \text{ rad/s}^2$ at f_{EP}
- Thermal control
 - Thermal stability of SU $< 1 \text{ mK}$ at f_{EP}
 - Thermal stability of FEEU $< 3 \text{ mK}$ at f_{EP}
 - Thermal stability of ICU $< 1 \text{ K}$ at f_{EP}
- Minimize micro-perturbations
 - Displacement inside the satellite
 - Change of the induced gravity gradient
 - Magnetic forces
 - No mechanism
 - No active thermal control

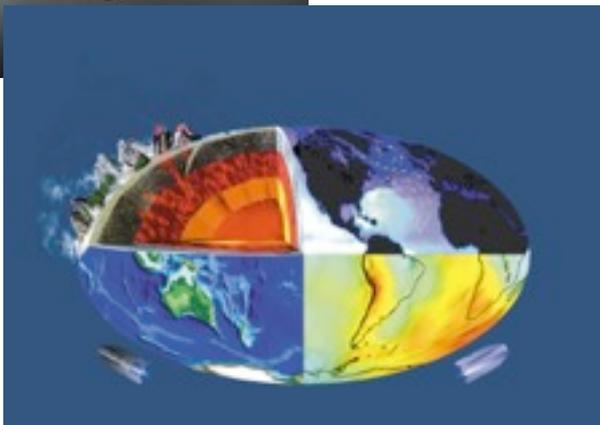
Technology: drag-free nano-g accelerometry

ONERA's long experience (30 years) in ultra-sensitive accelerometers: ASTRE, CHAMP, GOCE, GRACE...

GRACE (NASA-JPL): Gravity Recovery and Climate Experiment, 2002-2015(?)



$$\Gamma_n = 10^{-10} \text{ms}^{-2}/\text{Hz}^{1/2}$$
$$\Gamma_{\text{max}} = 5 \times 10^{-5} \text{ms}^{-2}$$
$$[10^{-4}, 10^{-1}] \text{ Hz}$$



GOCE (ESA)
Gravity Field and Steady State
Ocean Circulation Explorer,
2009-2013

$$\Gamma_n = 2 \times 10^{-12} \text{ms}^{-2}/\text{Hz}^{1/2}$$
$$\Gamma_{\text{max}} = 6 \times 10^{-6} \text{ms}^{-2}$$
$$[5 \times 10^{-3}, 10^{-1}] \text{ Hz}$$

Coming up:
GRACE Follow-On
(JPL)