

Constraints on Dark Matter annihilations coming from the CMB

An update using Planck 2015 data

Vivian Poulin

LAPTh and RWTH Aachen University

Talk based on

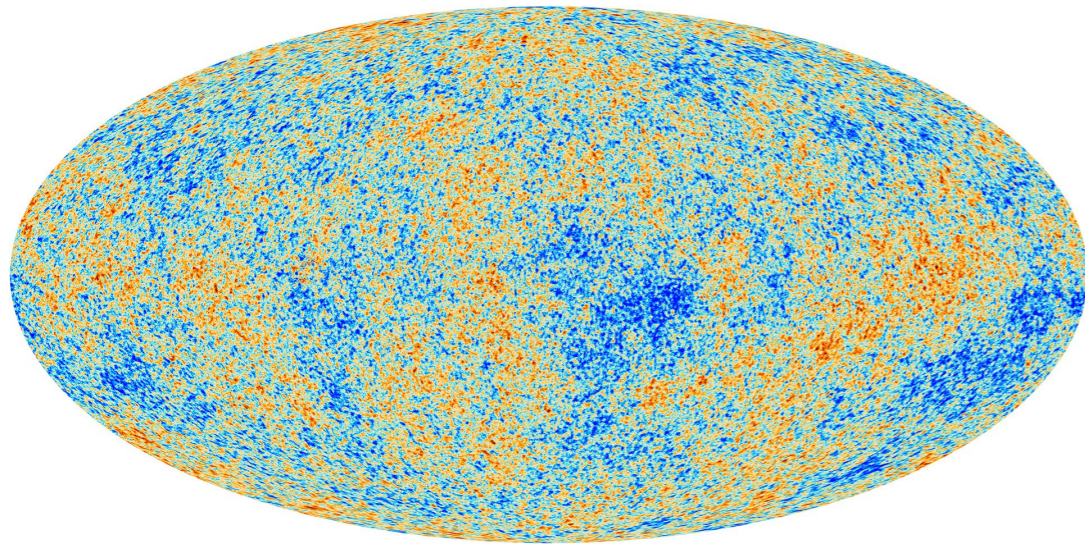
Planck 2015 [arXiv:1502.01589]

Poulin et al. [arXiv:1508.01370] (JCAP 1512 (2015) 12, 041)

In collaboration with

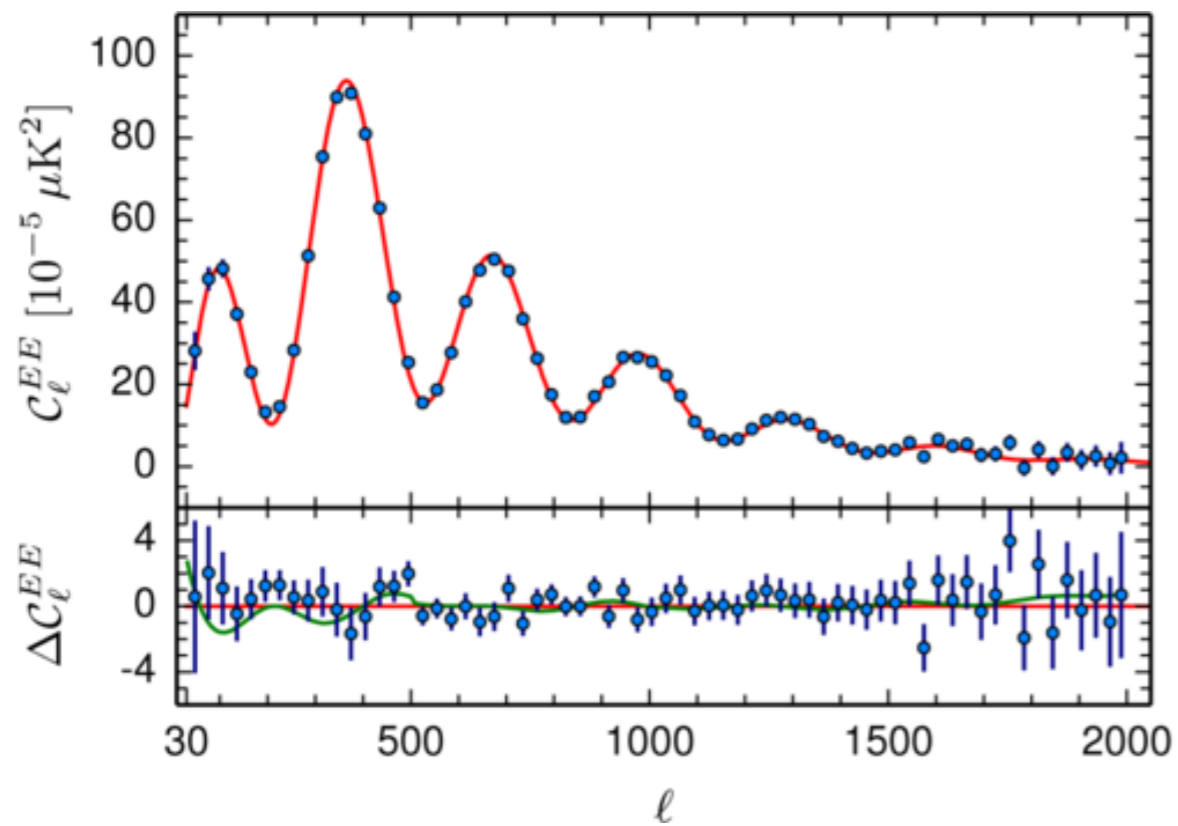
P. Serpico (LAPTh) and J. Lesgourgues (RWTH)

Texas Symposium, Geneva
december 16, 2015

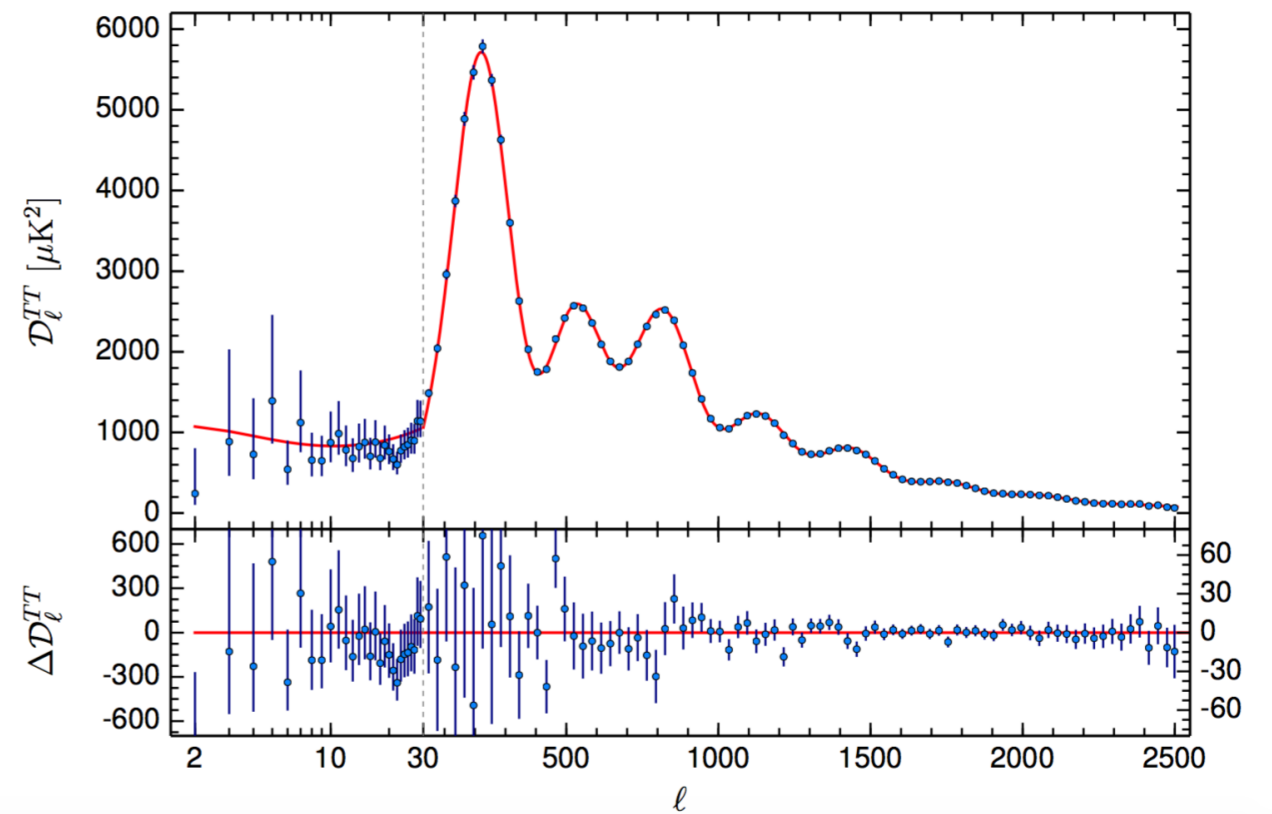


CMB as measured by Planck

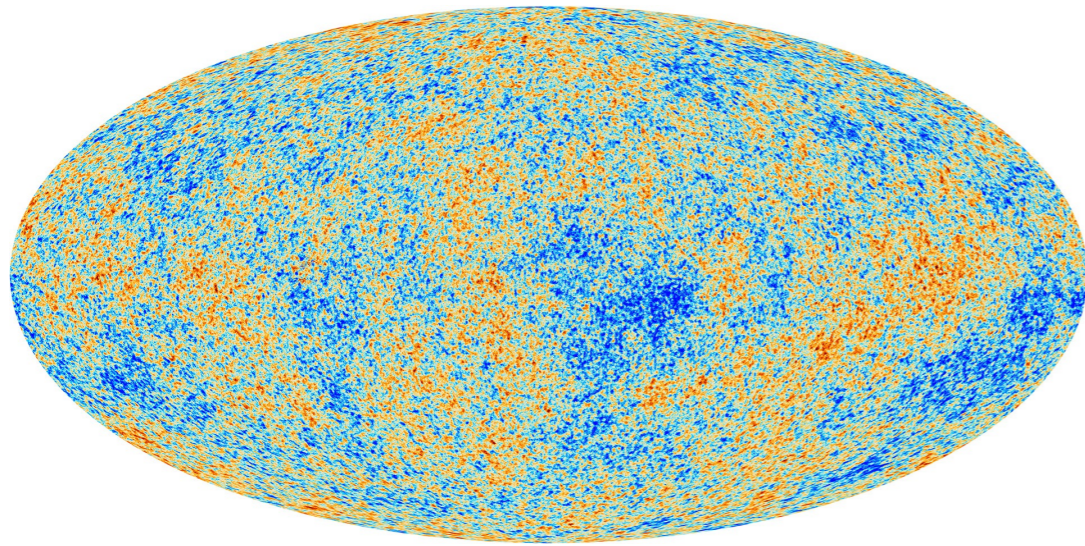
Planck 2015 [arXiv:1502.01589]



EE power spectrum

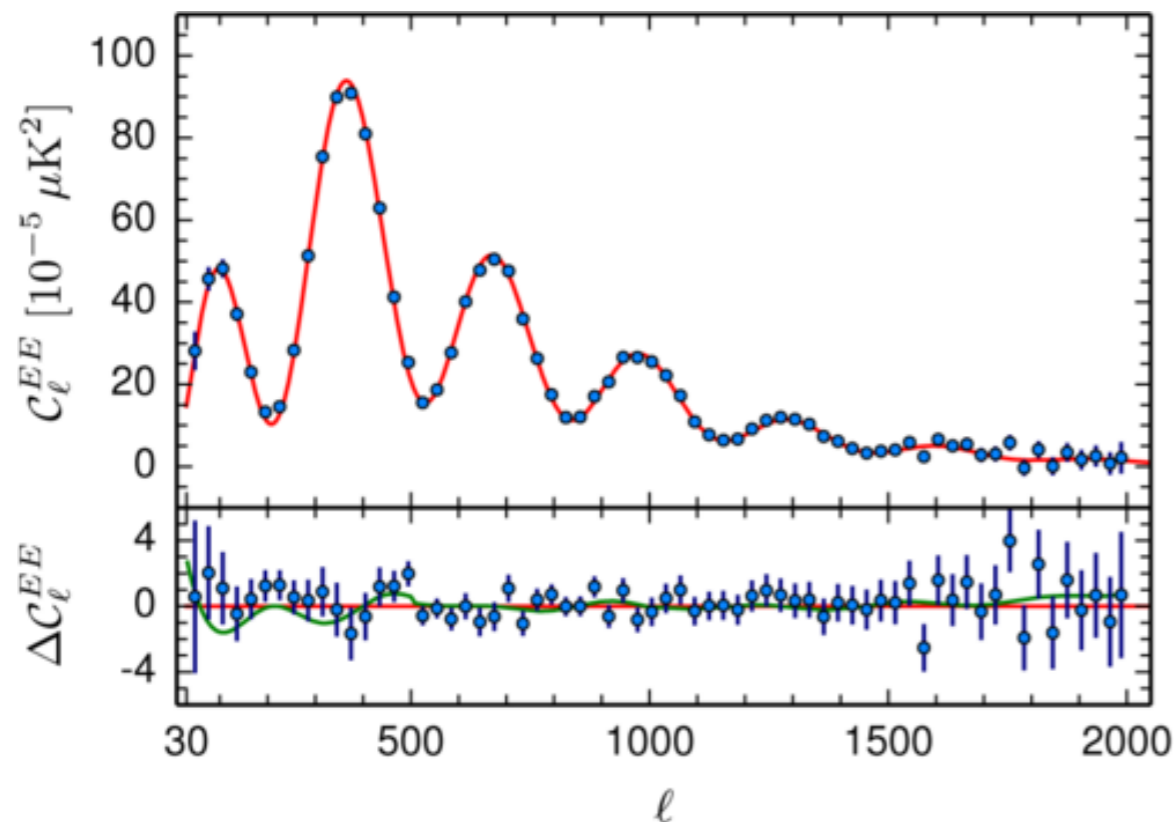


TT power spectrum

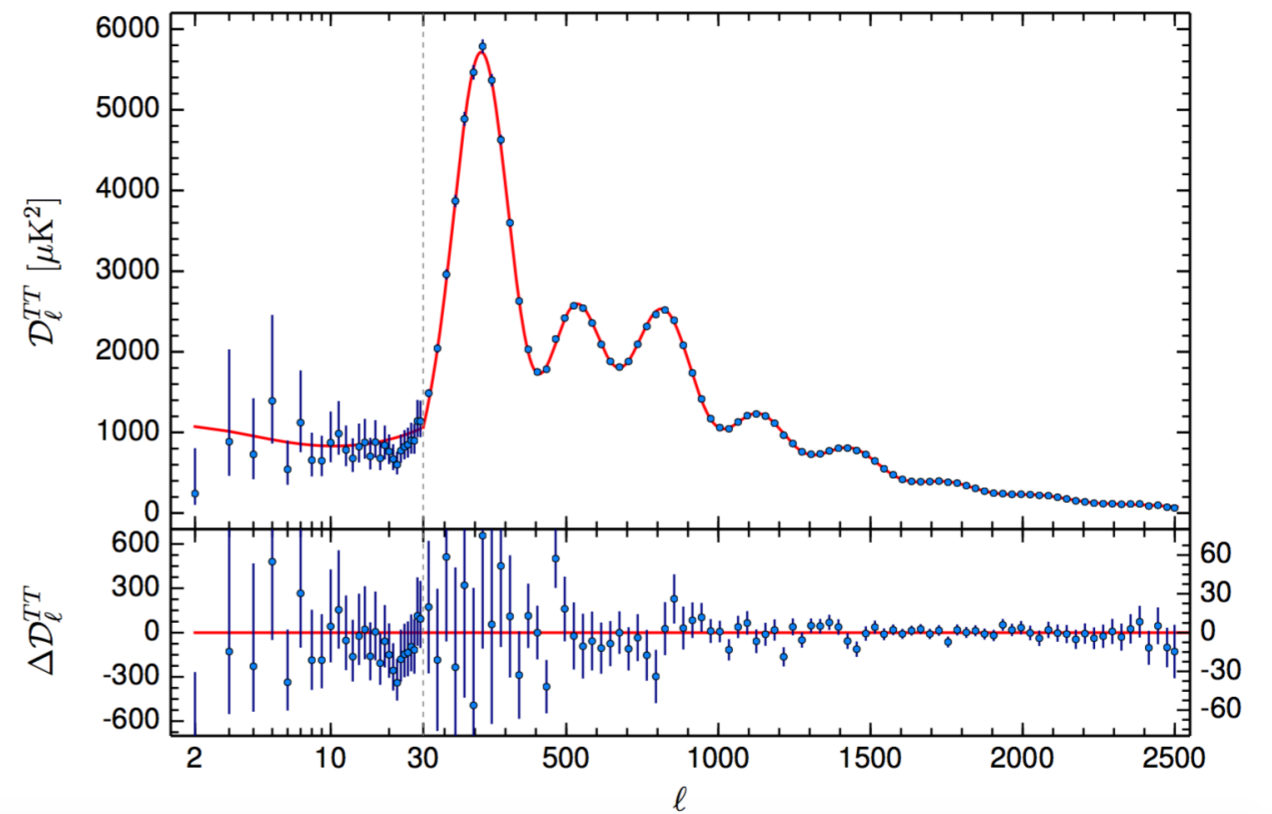


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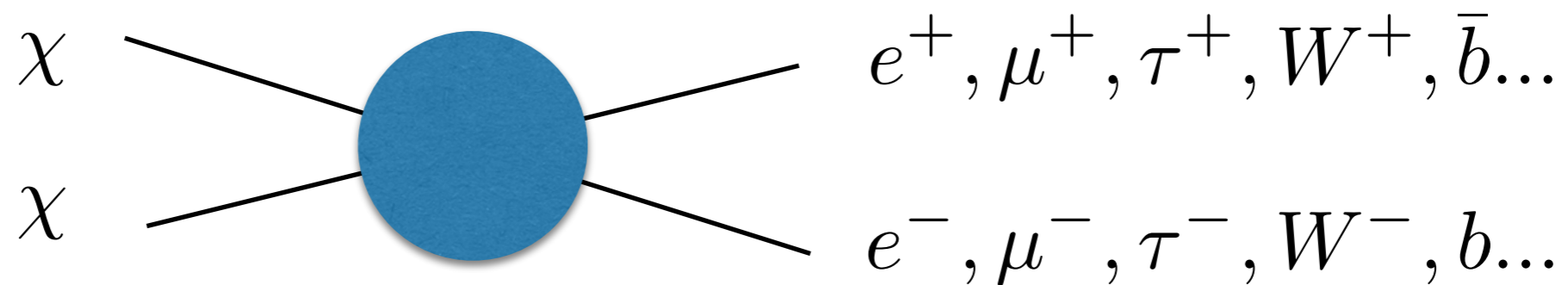
DM interacts only gravitationally in the standard Cosmology
 \Rightarrow Constraints can be derived

About 40 papers in 10 years

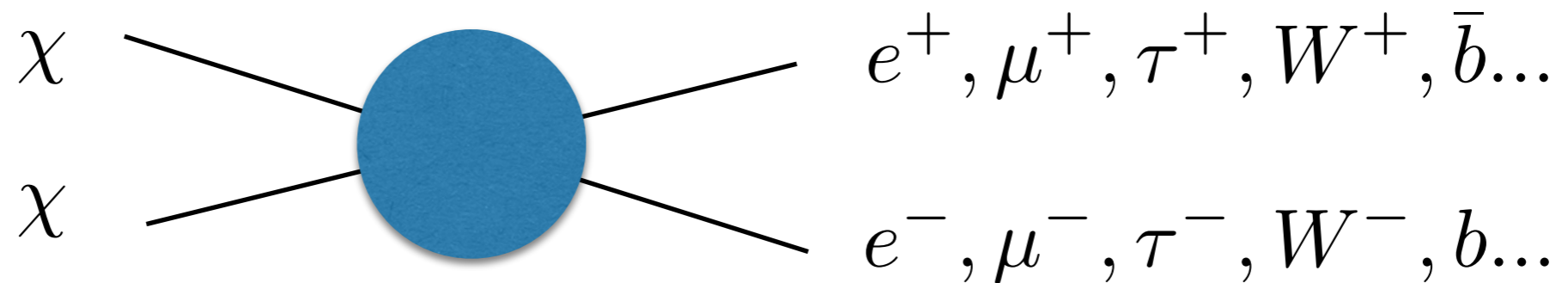
Very well documented subject

a non-exhaustive sample

- X.-L. Chen and M. Kamionkowski, Phys.Rev., vol. D70, p. 043502, 2004.
- S. Kasuya and M. Kawasaki, JCAP, vol. 0702, p. 010, 2007.
- L. Zhang, X. Chen, M. Kamionkowski, Z.-g. Si, and Z. Zheng, “Phys.Rev., vol. D76, p. 061301, 2007.
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- M. Cirelli, F. Iocco, and P. Panci, JCAP, vol. 0910, p. 009, 2009.
- G. Huetsi, A. Hektor, and M. Raidal, Astron. Astrophys., vol. 505, pp. 999–1005, 2009.
- T. R. Slatyer, N. Padmanabhan, and D. P. Finkbeiner, Phys.Rev., vol. D80, p. 043526, 2009.
- A. Natarajan and D. J. Schwarz, Phys.Rev., vol. D81, p. 123510, 2010.
- C. Evoli, M. Valdes, and A. Ferrara, PoS, vol. CRF2010, p. 036, 2010.
- S. Galli, F. Iocco, G. Bertone, and A. Melchiorri, Phys.Rev., vol. D80, p. 023505, 2009.
- G. Huetsi, J. Chluba, A. Hektor, and M. Raidal, Astron.Astrophys., vol. 535, p. A26, 2011.
- D. P. Finkbeiner, S. Galli, T. Lin, and T. R. Slatyer, Phys.Rev., vol. D85, p. 043522, 2012.
- G. Giesen, J. Lesgourgues, B. Audren, and Y. Ali-Haïmoud, JCAP, vol. 1212, p. 008, 2012.
- T. R. Slatyer, Phys.Rev., vol. D87, no. 12, p. 123513, 2013.
- S. Galli, T. R. Slatyer, M. Valdes, and F. Iocco, Phys.Rev., vol. D88, p. 063502, 2013.
- L. Lopez-Honorez, O. Mena, S. Palomares-Ruiz, and A. C. Vincent, JCAP, vol. 1307, p. 046, 2013.
- T. R. Slatyer, arXiv:1506.03812, 2015.
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- ...



What happens to the annihilation products ?



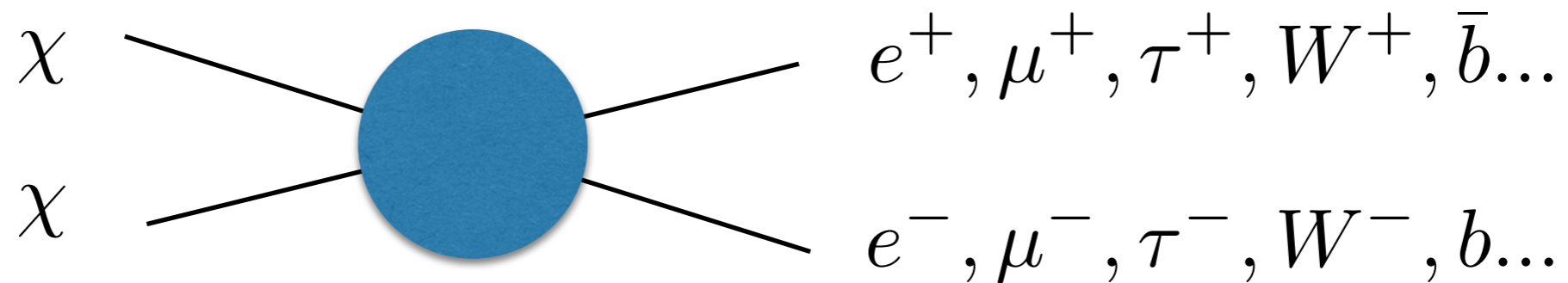
What happens to the annihilation products ?

Only e^{\pm}, γ interact with the intergalactic medium (IGM) and CMB. They can :

i) Lose their energy through interaction with CMB and redshifting

$$e\gamma_{\text{CMB}} \rightarrow e\gamma \quad \gamma\gamma_{\text{CMB}} \rightarrow \gamma\gamma \quad \gamma\gamma_{\text{CMB}} \rightarrow e^+e^- ;$$

ii) ionize, excite or heat the IGM.



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Main impact of DM annihilations :
modification of the recombination

Peebles « case-b »
recombination

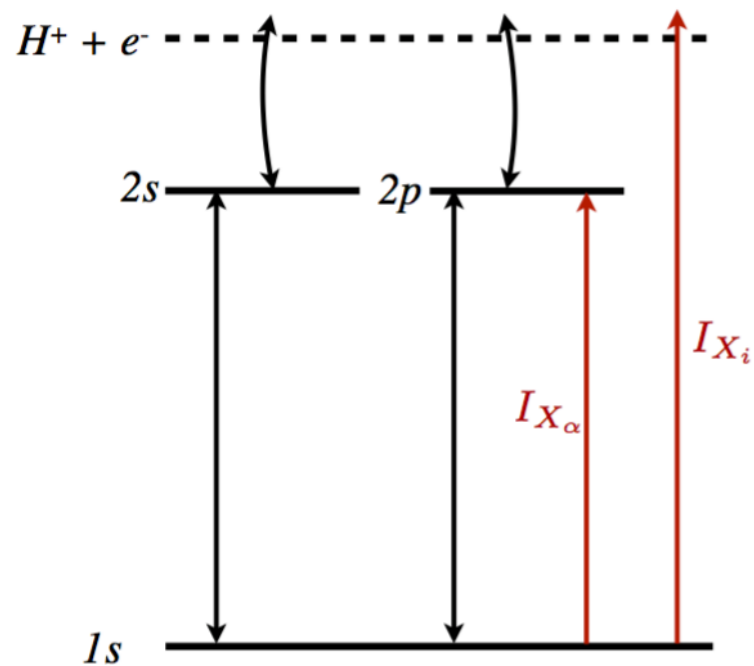
$$\frac{dx_e}{dz} = \frac{1}{(1+z)H(z)} [R_s(z) - I_s(z) - I_X(z)]$$

$$x_e \equiv \frac{n_e}{n_H}$$

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$$I_X(z) = I_{X_i}(z) + I_{X_\alpha}(z)$$

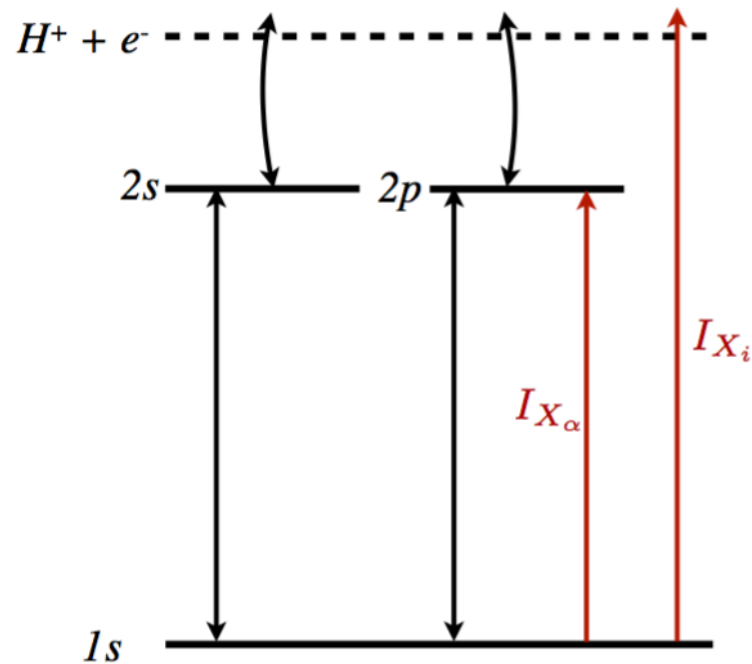
$$I_{X_i}(z) = \frac{\chi_i(z)}{n_H(z)E_i} \frac{dE}{dV dt} \Big|_{\text{dep}}$$

$$I_{X_\alpha}(z) = \frac{(1-C)\chi_\alpha(z)}{n_H(z)E_\alpha} \frac{dE}{dV dt} \Big|_{\text{dep}}$$

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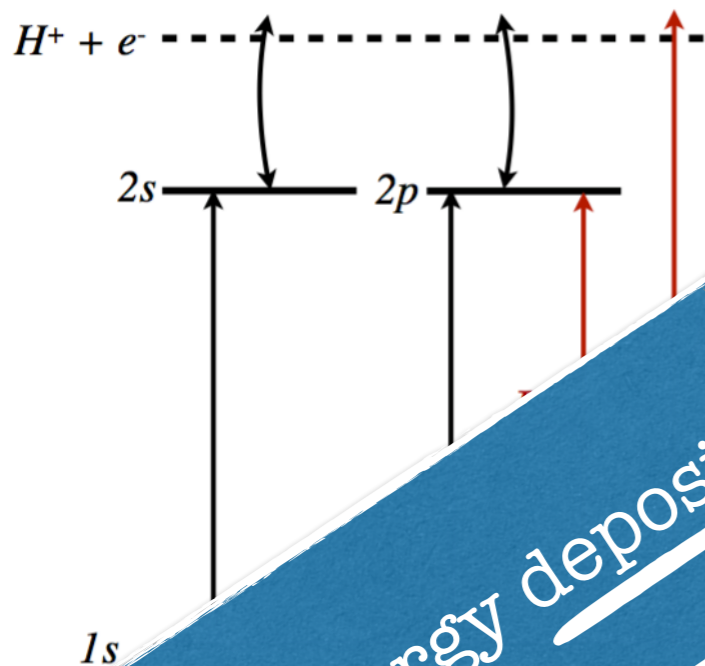
$$\frac{dT_M}{dz} = \frac{1}{1+z} \left[2T_M + \gamma(T_M - T_{\text{CMB}}) + K_h \right]$$

$$K_h = - \frac{2\chi_h(z)}{H(z)3k_b n_H(z)(1 + f_{He} + x_e)} \frac{dE}{dV dt} \Big|_{\text{dep}}$$

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The energy deposited by the DM

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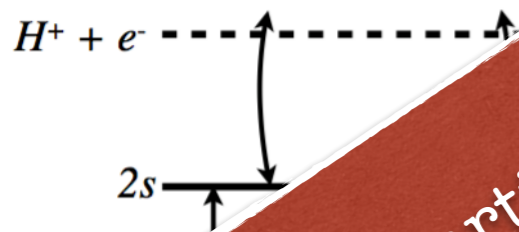
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The energy repartition functions

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$$\left. \frac{dE}{dV dt} \right|_{\text{inj}}(z) = \left(n_{\text{pairs}} = \kappa \frac{n_{\text{DM}}}{2} \right) \cdot \left(P_{\text{ann}} = \langle \sigma_{\text{ann}} v \rangle n_{\text{DM}} \right) \cdot \left(E_{\text{ann}} = 2m_{\text{DM}}c^2 \right)$$

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number density
of pairs

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number density
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×

annihilation probability

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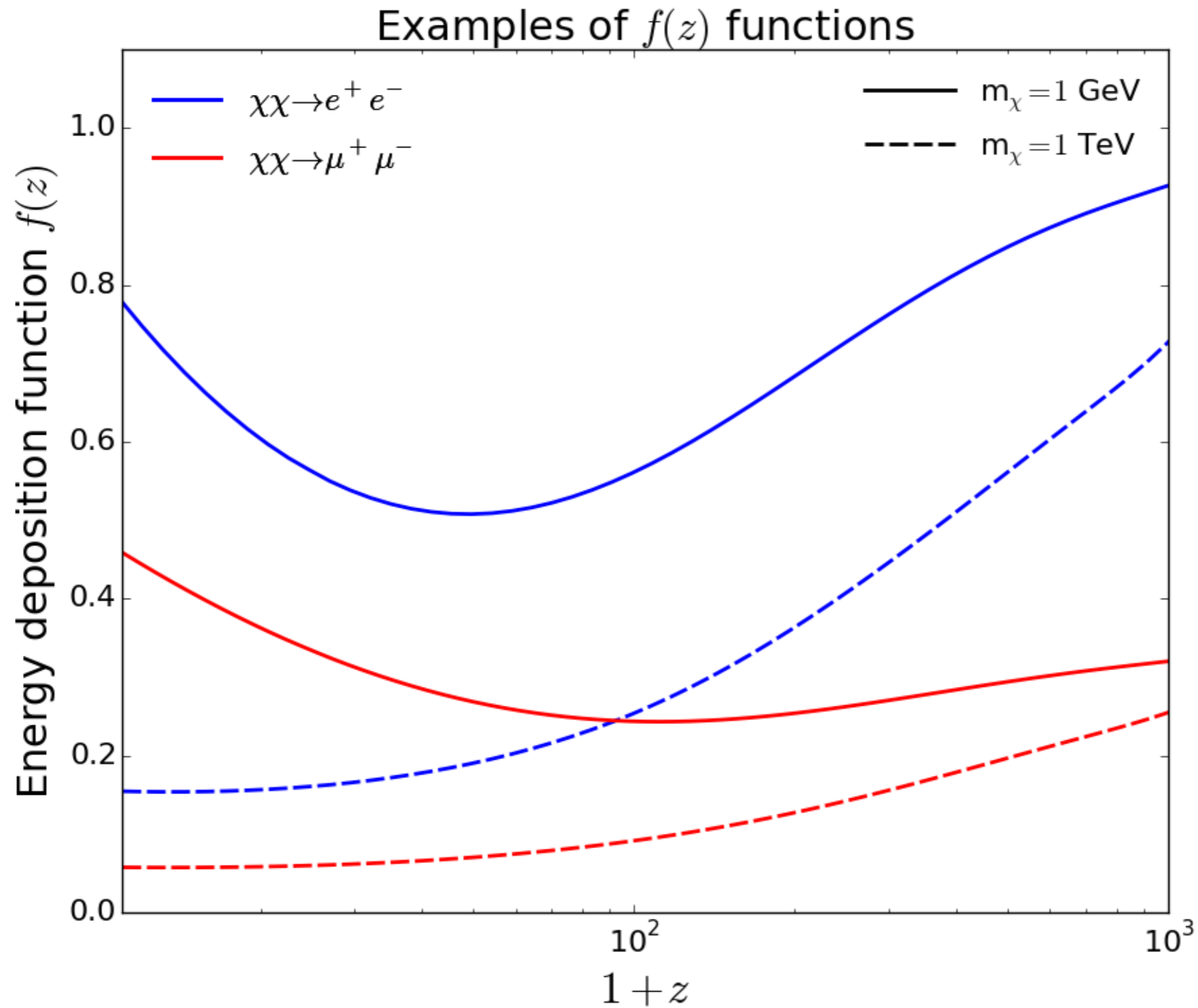
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Typical parameterization through the $f(z)$ functions :

$$\left. \frac{dE}{dV dt} \right|_{\text{dep}}(z) = f(z) \left. \frac{dE}{dV dt} \right|_{\text{inj}}(z)$$



In practice, for annihilations in the smooth background, it has been found that the CMB is only sensitive to

$$p_{\text{ann}} \equiv f_{\text{eff}} \frac{\langle \sigma_{\text{ann}} v \rangle}{m_{\text{DM}}} \quad \text{where} \quad f_{\text{eff}} \equiv f(z = 600) .$$

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Hence, we usually write

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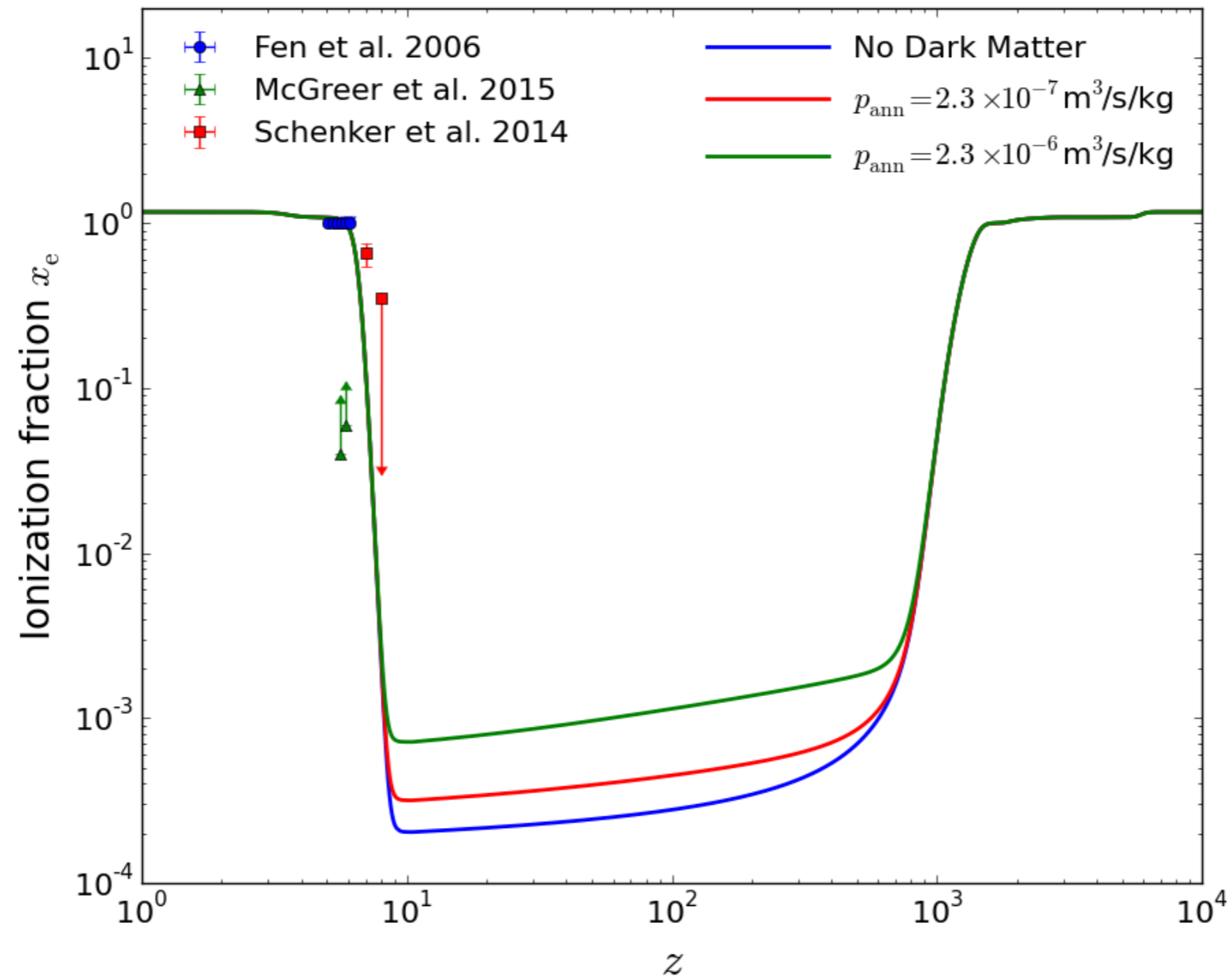
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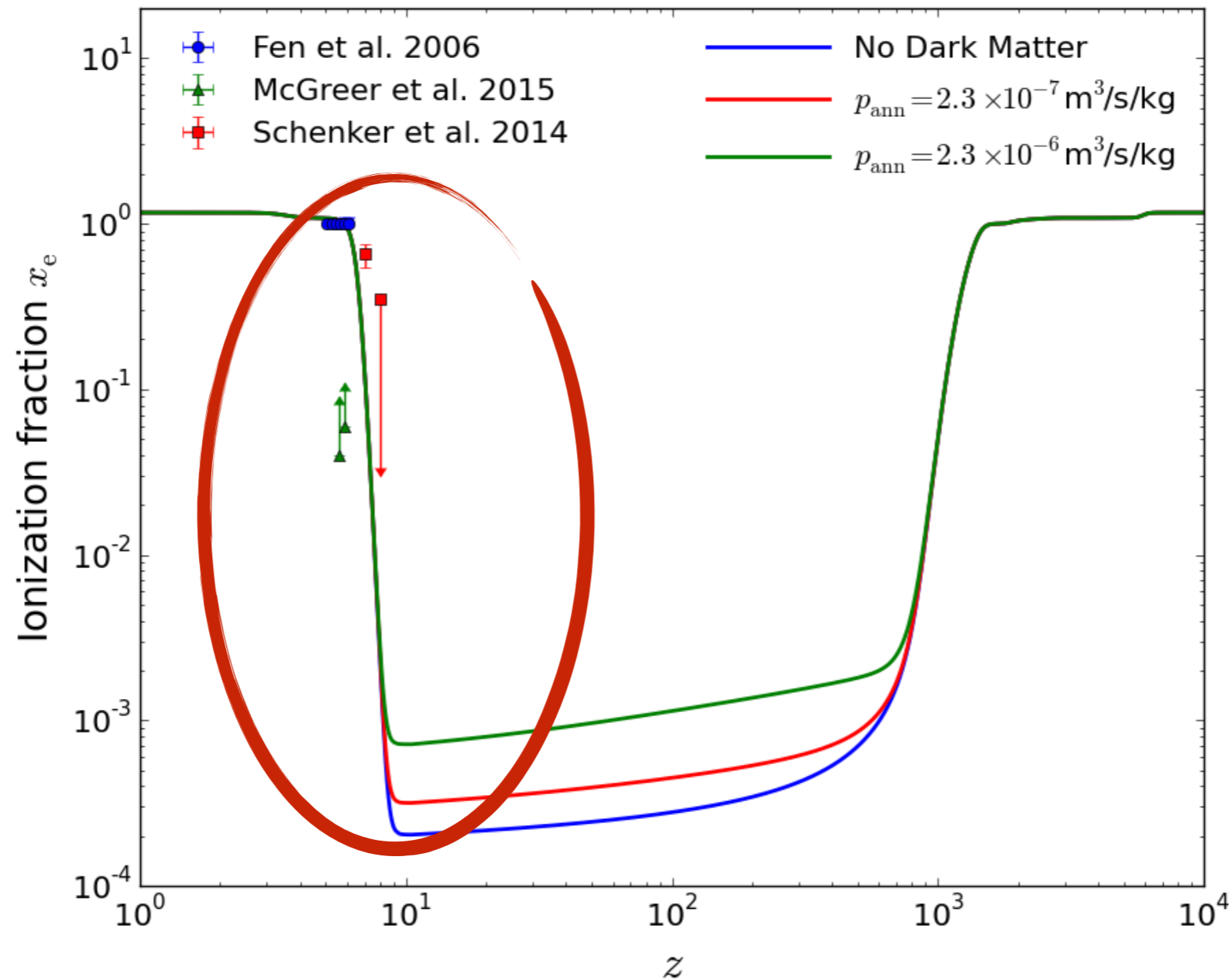
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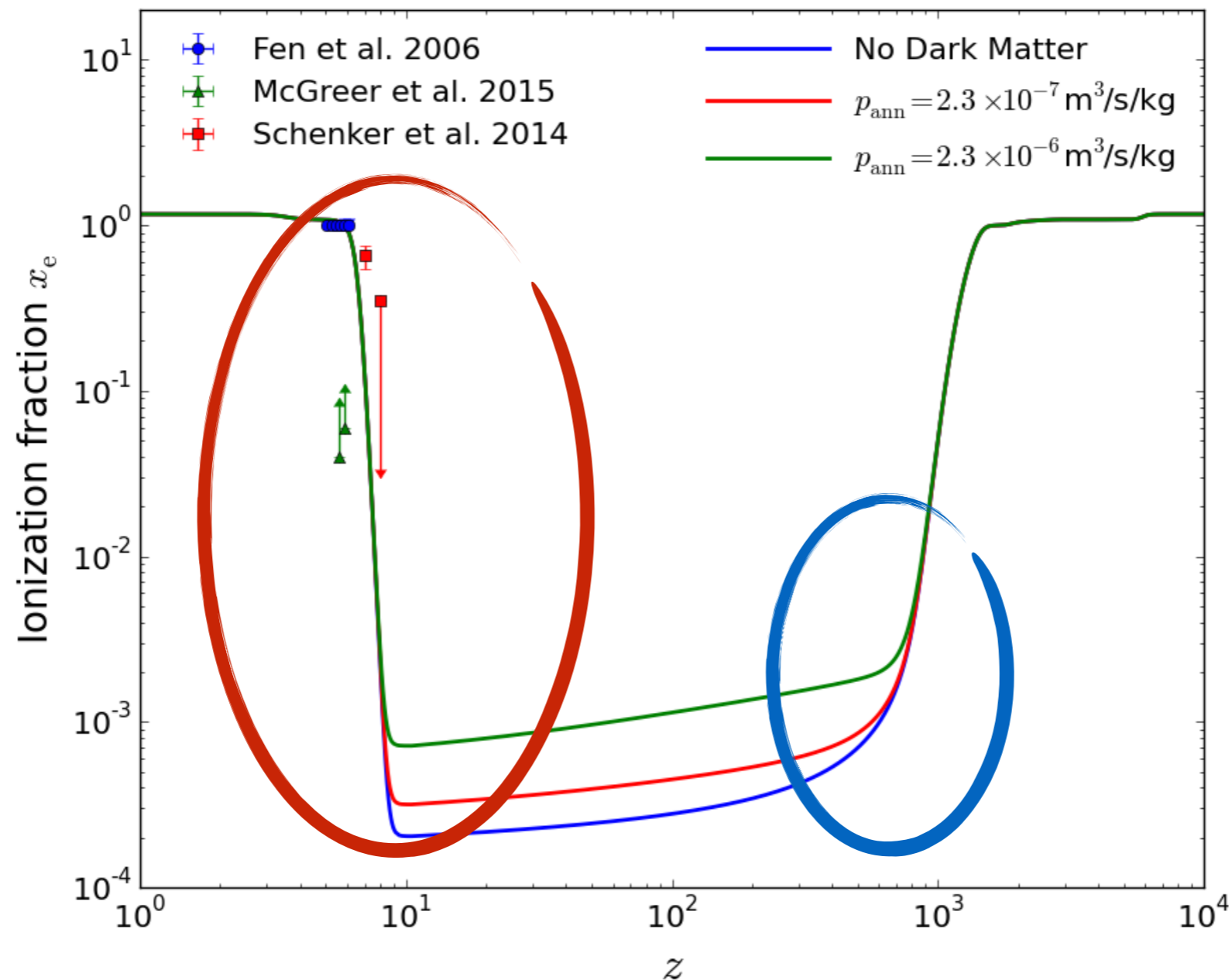
$$\left. \frac{dE}{dV dt} \right|_{\text{dep}}(z) = p_{\text{ann}} \cdot \kappa \rho_c^2 c^2 \Omega_{\text{DM}}^2 (1+z)^6$$

This is the quantity really constrained by CMB power spectra analysis !





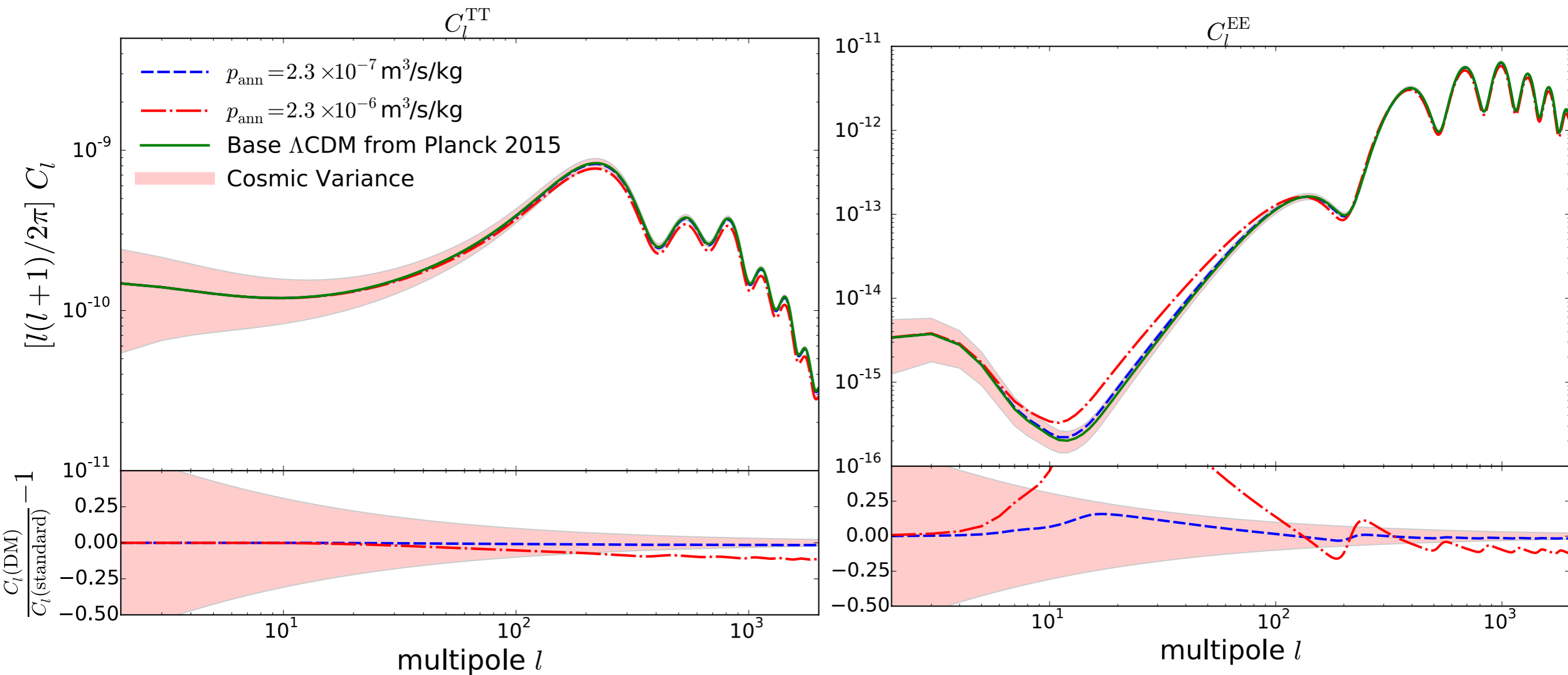
Reionization : put by hand !
 Mostly due to star formation.
 Still to understand.



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 Still to understand.

DM annihilations delay the recombination
 and enforce the free electron fraction
 to freeze-out ($z=600$) at higher values.

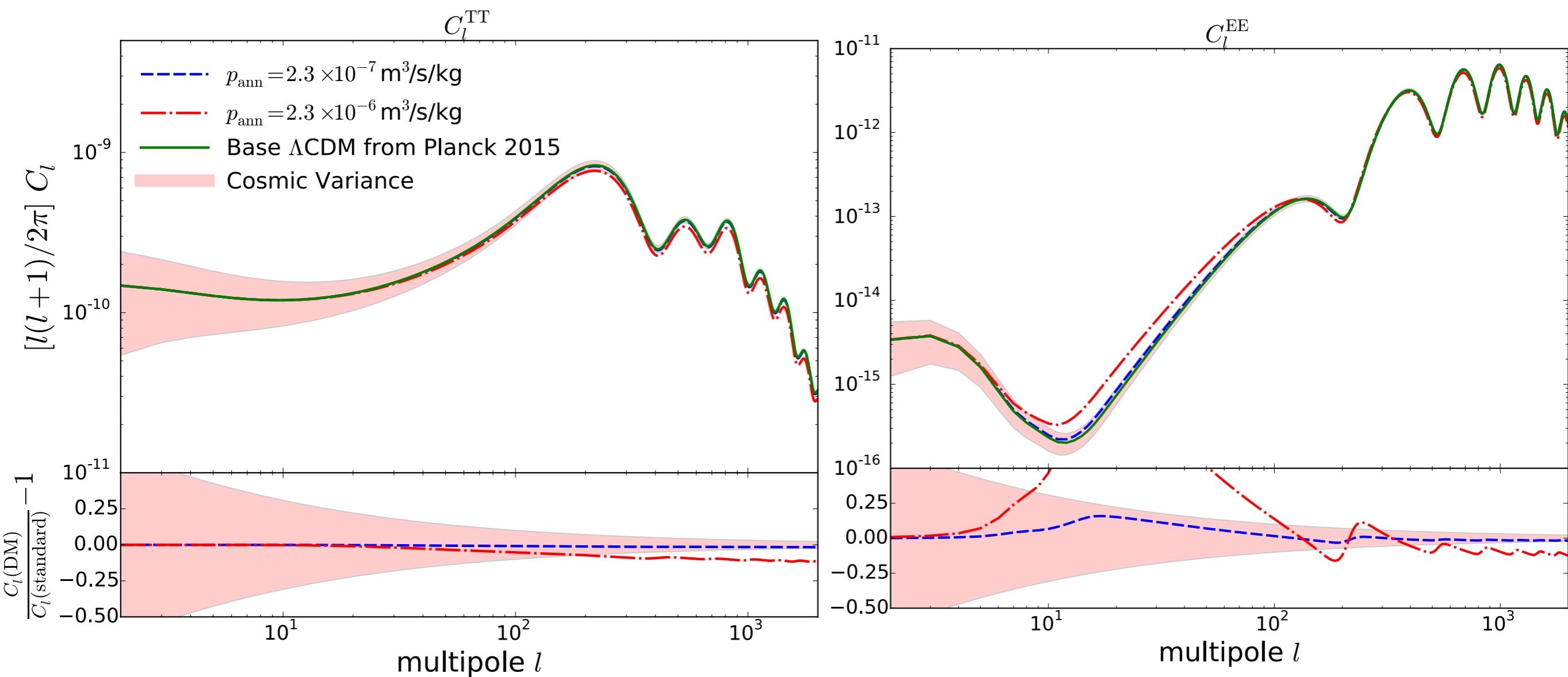
Modification of the ionisation fraction will in turn affect the CMB power spectra through CMB scattering with free electrons.



Recombination delay implies :

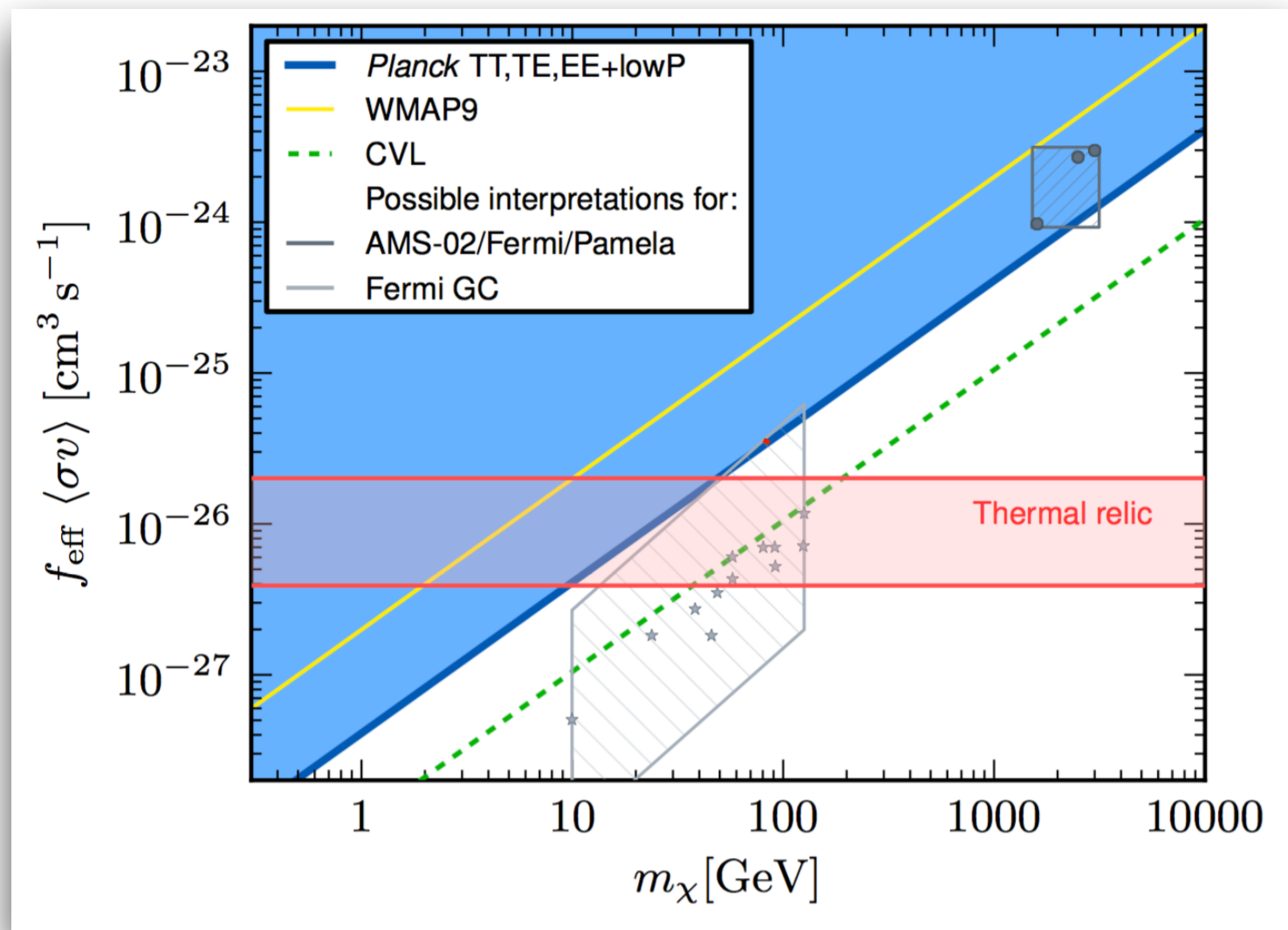
- 1) Shift of the peaks
- 2) More diffusion damping

Modification of the ionisation fraction will in turn affect the CMB power spectra through CMB scattering with free electrons.



More scattering implies :

- 1) Suppression of power on all scales with $l > 200$
- 2) Regeneration of power in the polarization spectrum



$$p_{\text{ann}} \equiv f_{\text{eff}} \frac{\langle \sigma_{\text{ann}} v \rangle}{m_{\text{DM}}} < 3.4 \times 10^{-28} \text{cm}^3 \text{s}^{-1} \text{GeV}^{-1}$$

TT, TE, EE + lowP + lensing

Planck 2015 [arXiv:1502.01589]

Results obtained from annihilation in the smooth background only
Is it possible to improve over it by taking into account Dark Matter halo formation?

As time goes by, virialized structures of DM starts to form,
the so-called « DM halos ».

Universe globally homogeneous

$$\langle \rho \rangle^2 \Big|_{\text{smooth}} = \langle \rho \rangle^2 \Big|_{\text{smooth+halos}}$$

however

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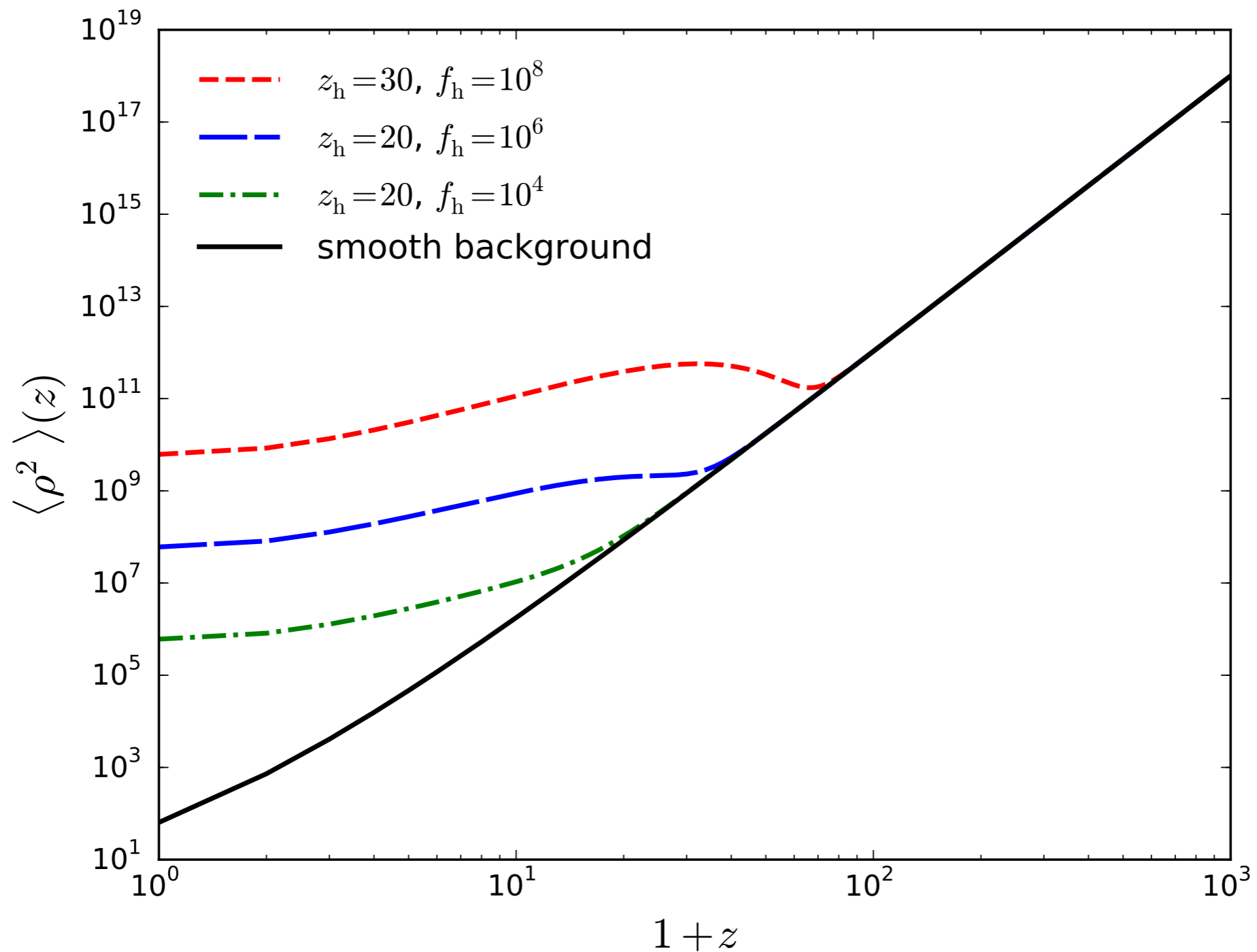
But, is it very so easy ? unfortunately, no !

Useful parameterization

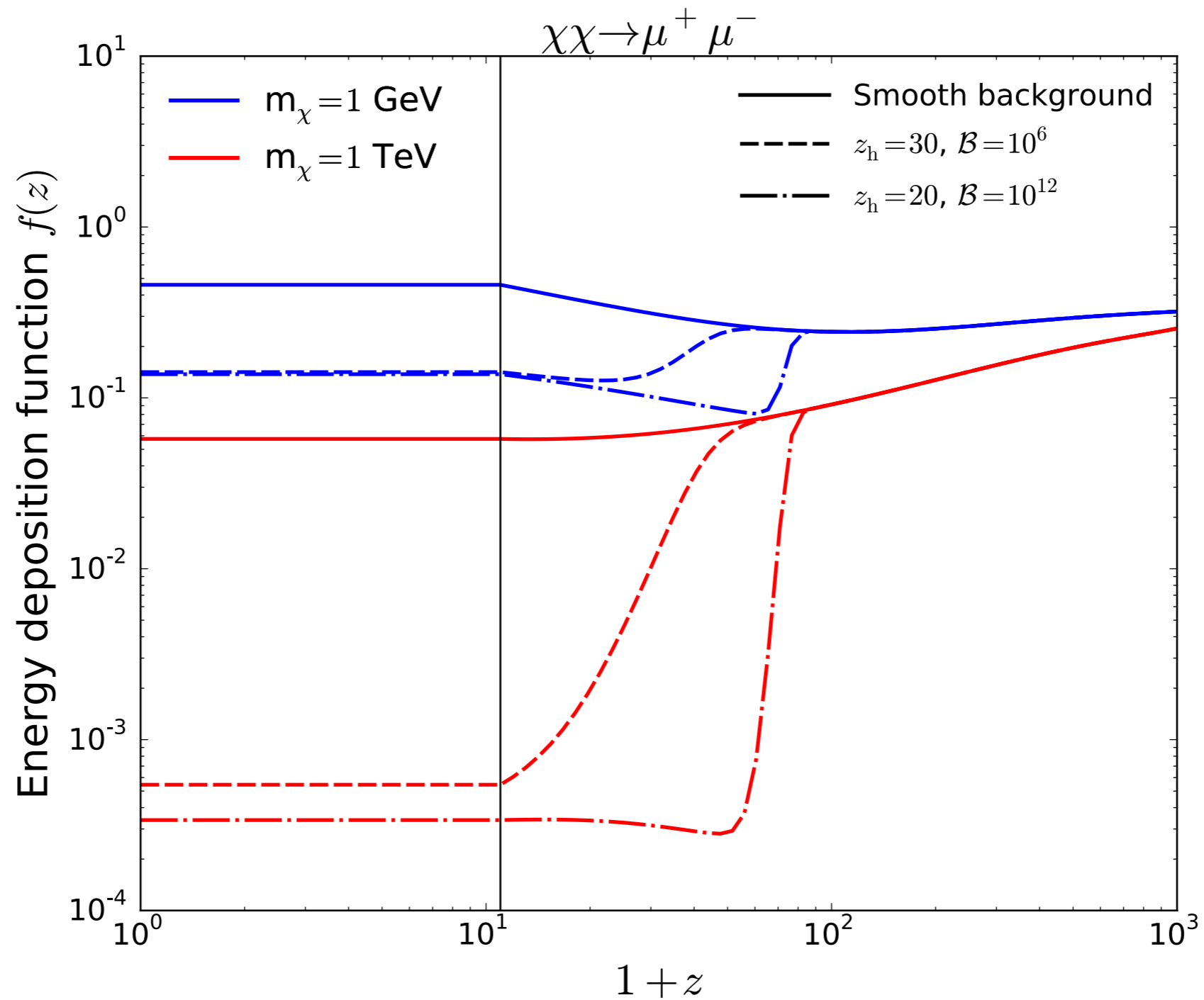
$$\langle \rho^2 \rangle(z) = (1 + \mathcal{B}(z)) \langle \rho^2 \rangle$$

In the « Press-schechter formalism »

$$\mathcal{B}(z) = \frac{f_h}{(1+z)^3} \operatorname{erfc}\left(\frac{1+z}{1+z_h}\right)$$



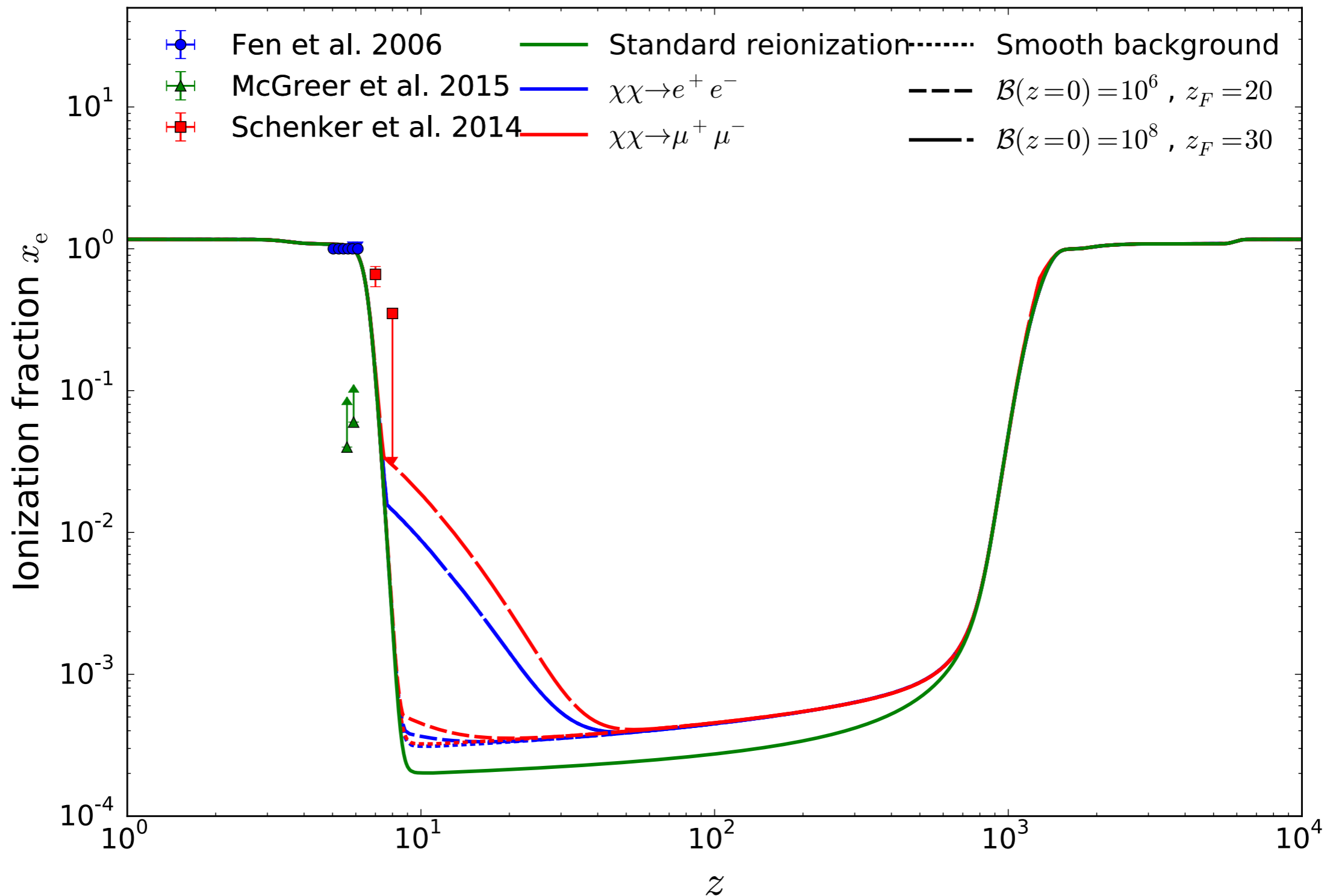
We need to recompute the $f(z)$ functions !



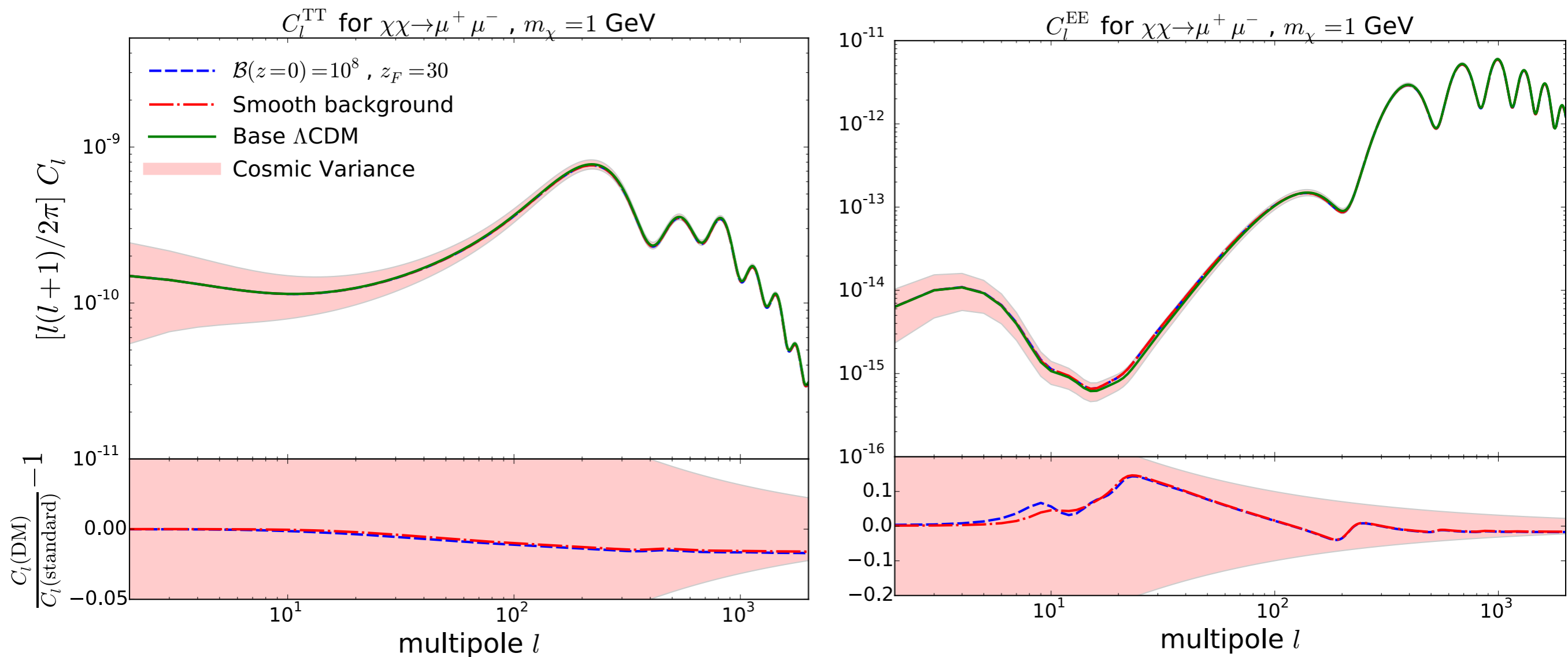
$f(z)$ decreases but it will be multiply by $(1 + \mathcal{B}(z))$

see also [arXiv:1303.5094]

Impact of halos is similar to reionization



Impact of « standard halos » not distinguishable by the CMB



at low l : Effect well below cosmic variance.

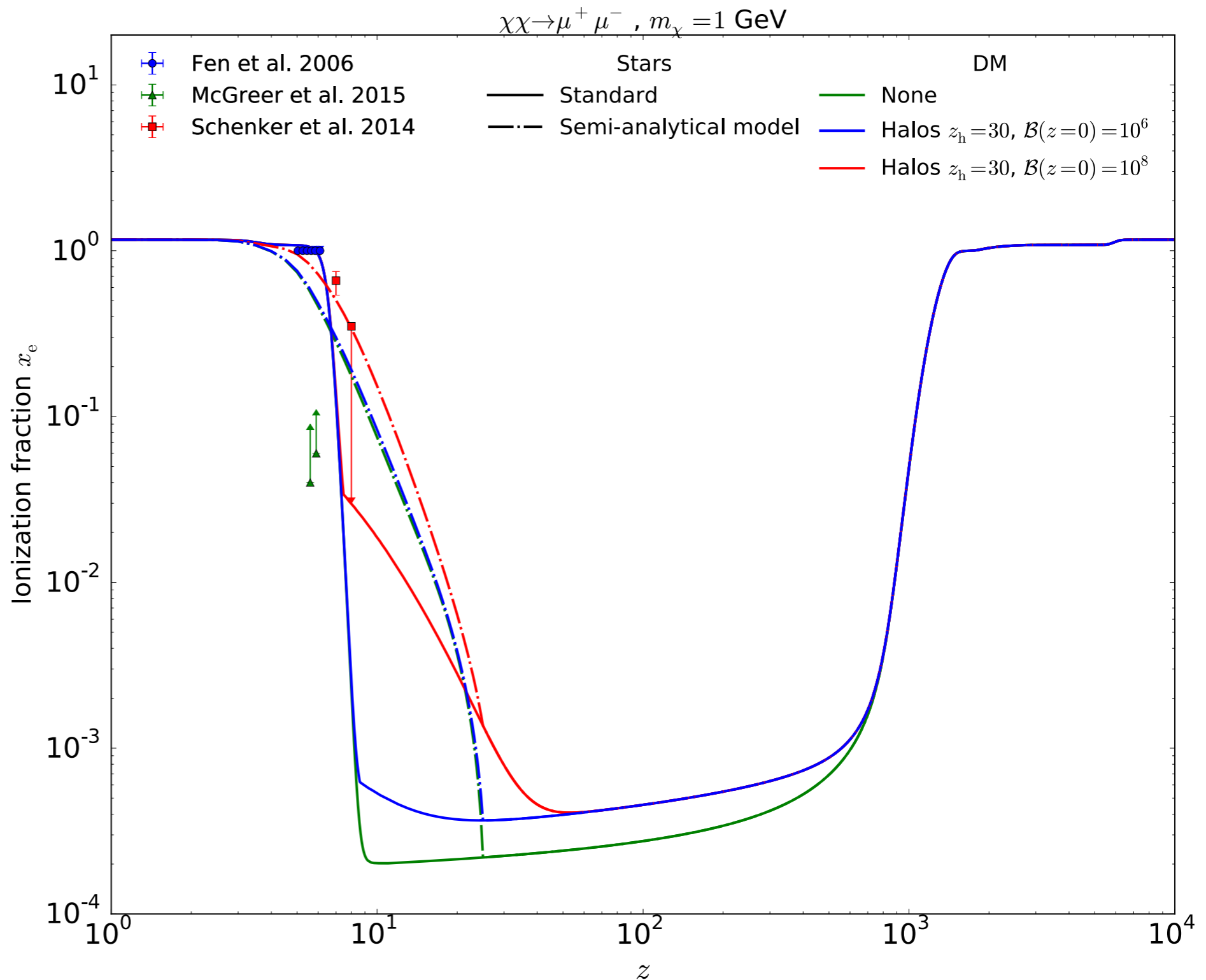
at high l : not distinguishable from background annihilations.

[arXiv:1508.01370]

UV sources in
star-forming galaxies
reionize the IGM

Standard :
tanh parameterization
centered on « Z_{reio} »

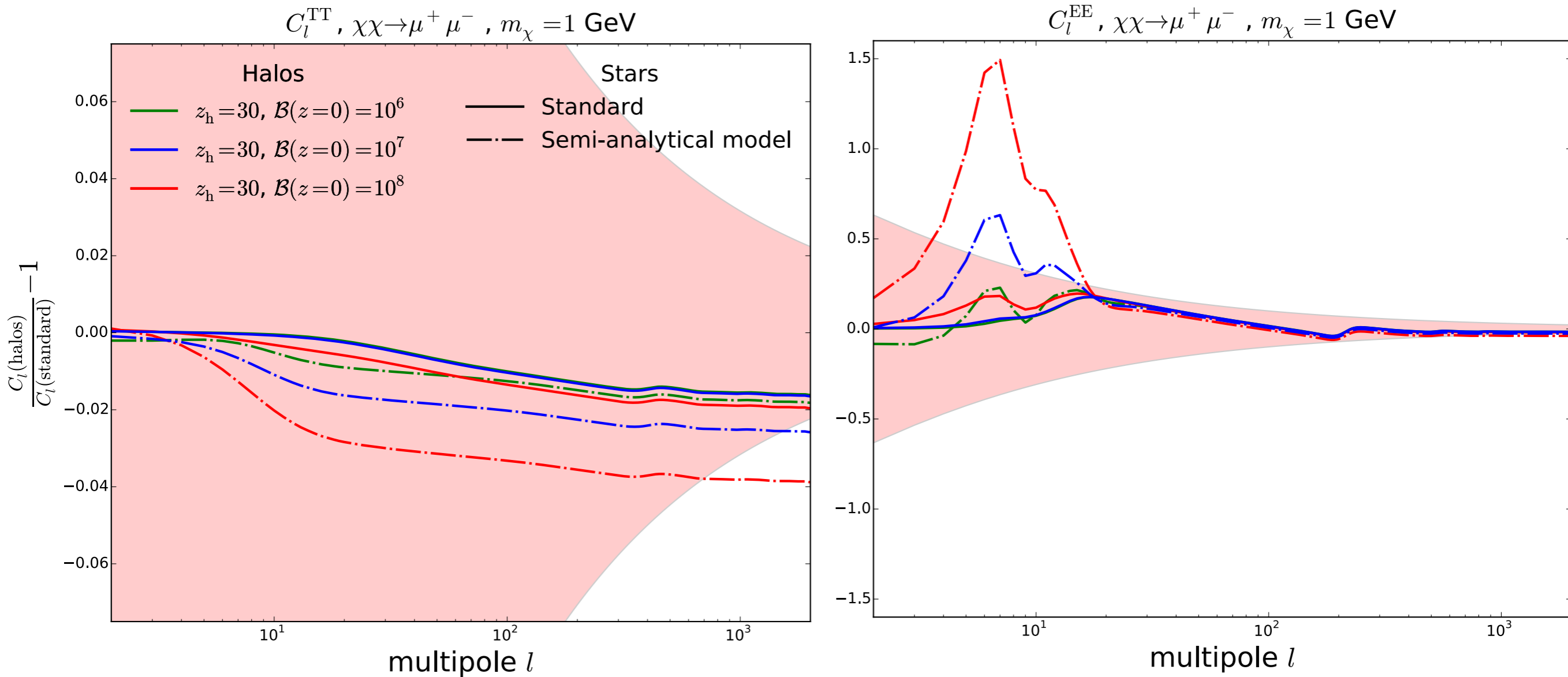
Semi analytical-model :
add a source term
prop. to
the star formation rate,
itself prop. to
UV luminosity.



$$\left. \frac{1}{E} \frac{dE}{dV dt} \right|_{\text{dep}} = A_* f_{\text{esc}} \xi_{\text{ion}} \rho_{\text{SFR}}(z) (1+z)^3$$

see also [arXiv:1502.02024]

Two different treatments of star reionization will lead to different conclusions !



A more realistic treatment might indicate that impact of halos is non-negligible.
Caveat : Only for « big halos », disfavored by numerical simulations.

In a nutshell :

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From annihilations in the smooth background only, Planck

- improved bounds on $\langle\sigma v\rangle$ up to **1 order of magnitude**;
- ruled out thermal relics **below 10 GeV** whatever annihilation channels;
- ruled out Fermi/Pamela/AMS DM candidates.

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From annihilations of standard DM models in halos :

- optical depth **cannot be significantly increased** by realistic halos;
- impact on CMB power spectra depends on reionization modeling :
 - **too small** to improve bounds for the standard parameterization;
 - **non-negligible** for « big halos » in a more realistic modelization of stars.



Thanks for your attention !