### Accretion of a relativistic kinetic gas into a black hole

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- We study the accretion of a collisionless kinetic gas into a nonrotating black hole, assuming the self-gravity of the gas can be neglected.
- Based on standard tools from the theory of Hamiltonian systems, we derive the most general solution describing accretion of the Liouville (or collisionless Boltzmann) equation on a curved Schwarzschild background.
- In particular case, collisionless Kinetic gas implies that the distribution function solve L[f] = 0 (Liouville equation).
- We compute the observables (current density and stress-energy tensor) assuming a spherically symmetric and stationary distribution function f(E,L).
- Finally we assume that the distribution function represents a relativistic gas in thermodynamic equilibrium at  $r \to \infty$ , such that  $f(E, L) = \alpha e^{-\beta E}$ .
- We compute the accretion rate in the limit of low temperature and check that our results coincide with those of the literature.

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- We obtained new interesting results on the horizon where the tangential pressure is much larger than the radial one and thus diminishes the accretion process.
- This provides a partial explanation for the fact that the accretion of a collisionless gas is much less intense than the accretion of a perfect, polytropic fluid in the Bondi-Michel model.

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