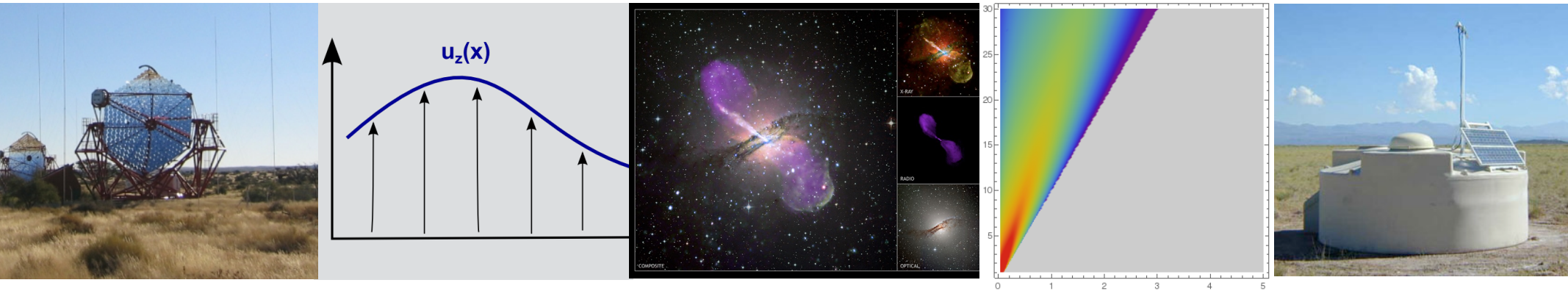


Non-thermal particle acceleration in astrophysical shear flows

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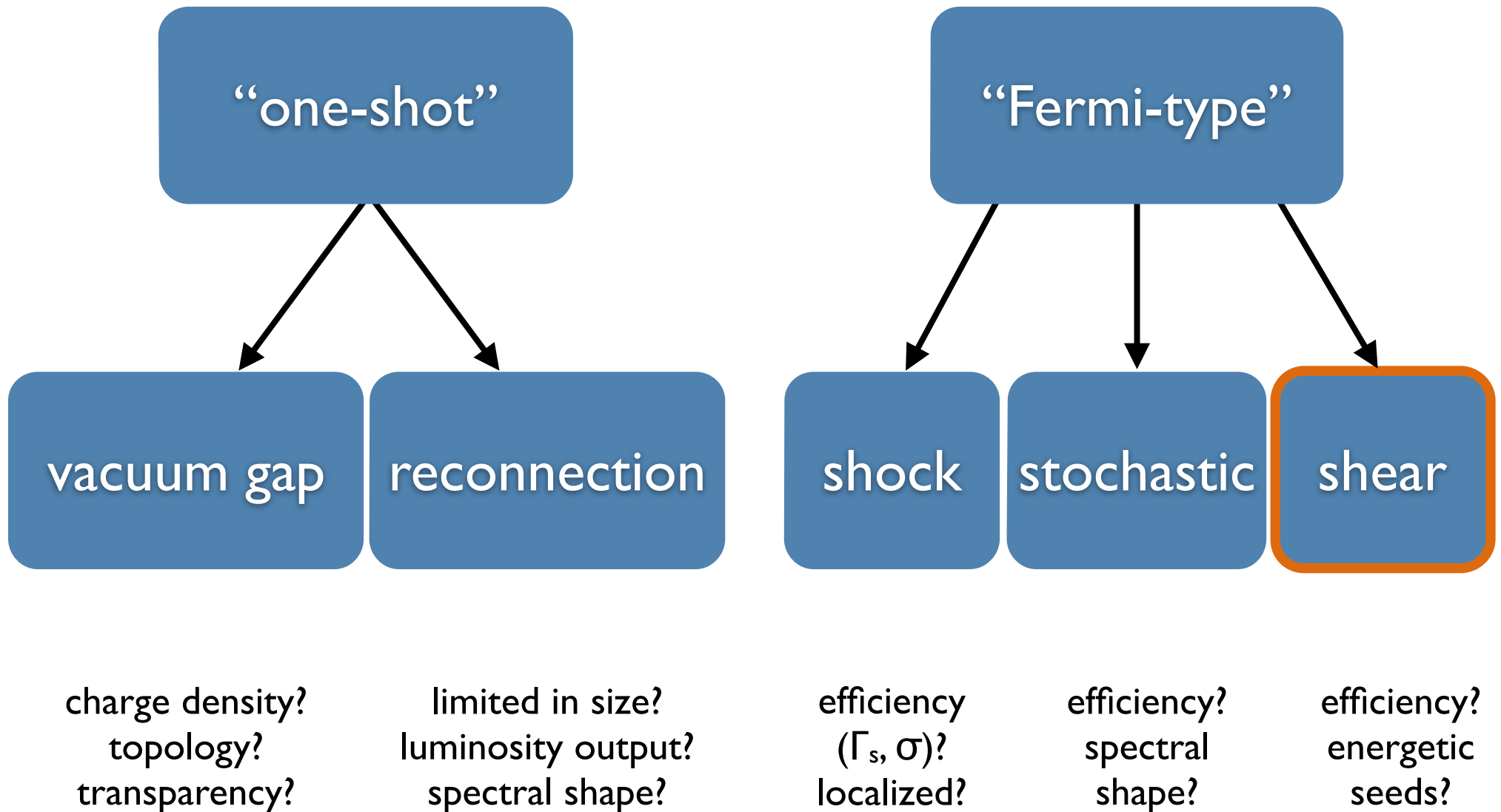


Non-thermal particle acceleration in astrophysical outflows

(“We see radiation from energetic particles and we want to understand their origin”)

- ▶ Particle acceleration mechanisms
- ▶ The ubiquity of shear flows
- ▶ Shear particle acceleration (characteristics)
- ▶ Example: expanding flows

Particle acceleration mechanisms (*not exhaustive*)



Fermi-type particle acceleration

Kinematic effect resulting from *scattering off magnetic inhomogeneities*

Fermi, Phys. Rev. 75, 578 [1949]

Ingredients: in frame of scattering centre

- ▶ momentum magnitude conserved
- ▶ particle direction randomised

Characteristic energy change per scattering:

$$\Delta\epsilon = \epsilon_2 - \epsilon_1 = 2 \gamma_u^2 (\epsilon_1 u^2 / c^2 - \vec{p}_1 \cdot \vec{u})$$

➔ energy gain for head-on ($\vec{p} \cdot \vec{u} < 0$), loss for following collision ($\vec{p} \cdot \vec{u} > 0$)

- ▶ **stochastic**: average energy gain 2nd order: $\langle \Delta\epsilon \rangle \sim (u/c)^2 \epsilon$
- ▶ **shock**: spatial diffusion, head-on collisions, gain 1st order: $\langle \Delta\epsilon \rangle \sim (u_s/c) \epsilon$

The ubiquity of shear (out)flows

Particle energization by drawing on velocity difference between scattering events

Expect internal velocity stratification = shear due to e.g.

- ▶ BH-driven jet encompassed by disk wind (generic)...
- ▶ velocity stratification in jet simulations (interaction)...
- ▶ angular momentum transport (disk-jet connection)...
- ▶ phenomenological evidence:
 - different m.f. structure across jet (polarization)
 - higher energy emission laterally confined
 -

⇒ new emergence of multi-zone emission/shear layer/acceleration models:

e.g., Aloy & Mimica 2008; Sahayanathan 2009; Liang+ 2013; Grismayer+2013; Ohira 2013; Laing & Bridle 2013; Tavecchio & Ghisellini 2015....

Shear acceleration (gradual - characteristics)

► *Gradual shear flow* with frozen-in scattering centres:

► like 2nd Fermi, stochastic process with average gain:

$$\frac{\langle \Delta \epsilon \rangle}{\epsilon_1} \propto \left(\frac{u}{c} \right)^2 = \left(\frac{\partial u_z}{\partial x} \right)^2 \lambda^2$$

using characteristic *effective velocity*:

$$u = \left(\frac{\partial u_z}{\partial x} \right) \lambda, \quad \text{where } \lambda = \text{particle mean free path}$$

► So:

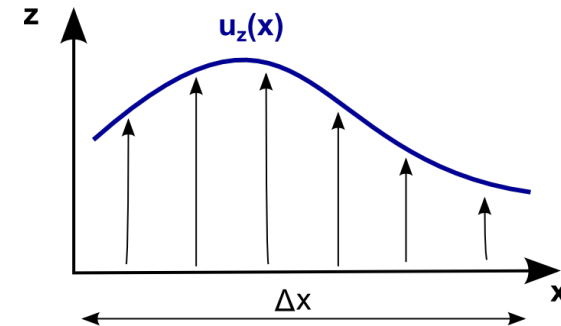
$$t_{acc} = \frac{\epsilon}{(d\epsilon/dt)} \sim \frac{\epsilon}{\langle \Delta \epsilon \rangle} \times \frac{\lambda}{c} \propto \frac{1}{\lambda}$$

► seed from acceleration @ shock or stochastic....

► easier for protons....

non-relativistic

$$\vec{u} = u_z(x) \vec{e}_z$$

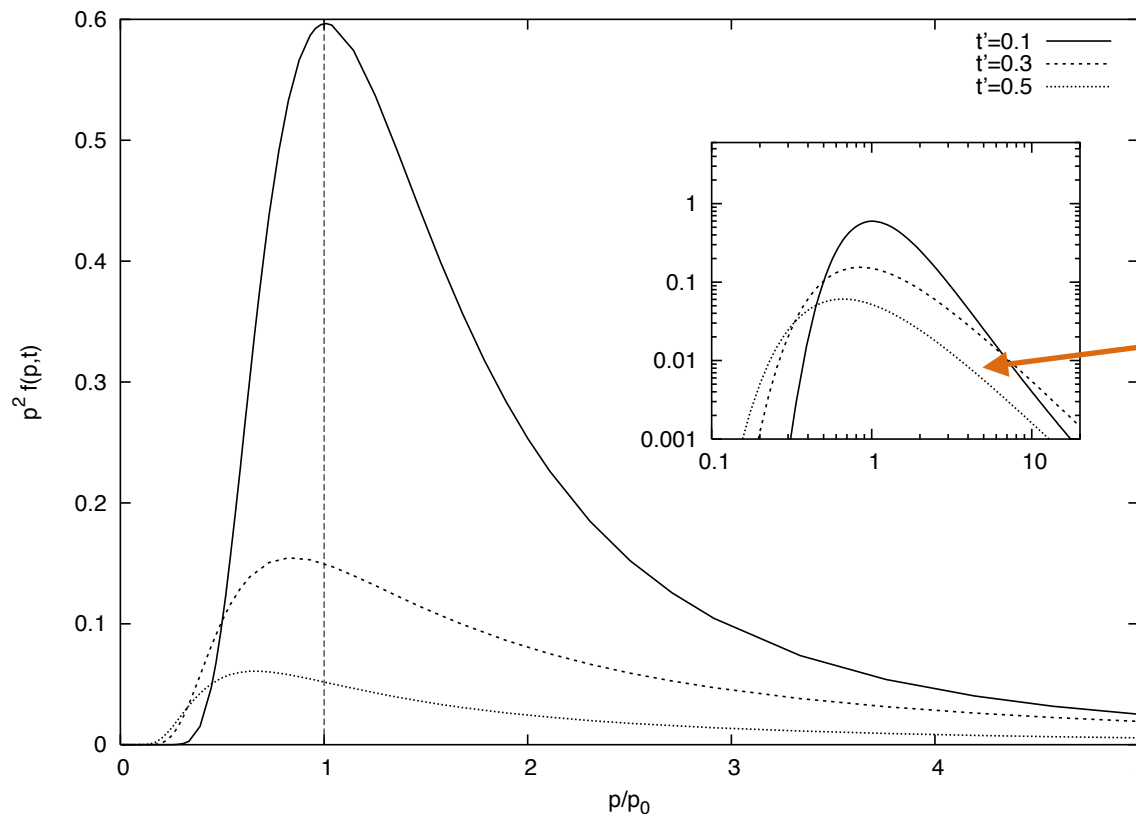


Shear acceleration (gradual - characteristics)

Local *power law formation* with index depending on scaling of particle mean free path:

$$n(\gamma) \propto \gamma^{-(1+\alpha)}$$

- ▶ for $\lambda \propto p^\alpha$
- ▶ e.g. $\alpha=1$ for $\lambda \sim r_g$ (Bohm)
- ▶ *change of slope possible*



Time-dependent solution of Fokker-Planck equation for non-relativistic shear using impulsive injection with p_0 at $t_0 = 0$ for $\alpha = 1$

power law formation

Fermi Acceleration Timescales

(e.g., Drury 1983; Kirk 1994; Duffy & Blundell 2005; FR.+ 2007)

_1st order Fermi - standard shock (non-relativistic):

with shock crossing time $t_c \sim \kappa / (u_s c)$, where $\kappa \sim \lambda c$

$$t_{\text{acc}} = \frac{\epsilon}{d\epsilon/dt} \simeq \frac{\epsilon}{\Delta\epsilon} t_c \sim \frac{\kappa}{u_s^2} \propto \frac{\lambda}{u_s^2}$$

_2nd order Fermi (stochastic):

with scattering time $\tau \sim \lambda/c$

$$t_{\text{acc}} = \frac{\epsilon}{d\epsilon/dt} \simeq \frac{\epsilon}{\Delta\epsilon} \tau \sim \left(\frac{c}{v_A}\right)^2 \left(\frac{\lambda}{c}\right) \propto \frac{\lambda}{v_A^2}$$

_Shear - gradual (non-relativistic):

$$t_{\text{acc}} = \frac{\epsilon}{d\epsilon/dt} \simeq \frac{\epsilon}{\Delta\epsilon} \tau \sim \left(\frac{c}{\frac{\partial u_z}{\partial x} \lambda}\right)^2 \left(\frac{\lambda}{c}\right) \propto \frac{1}{\lambda}$$

Significance - (i) scales with synchrotron losses...
- (ii) requires energetic seed particles

Potential & possible relevance of shear acceleration

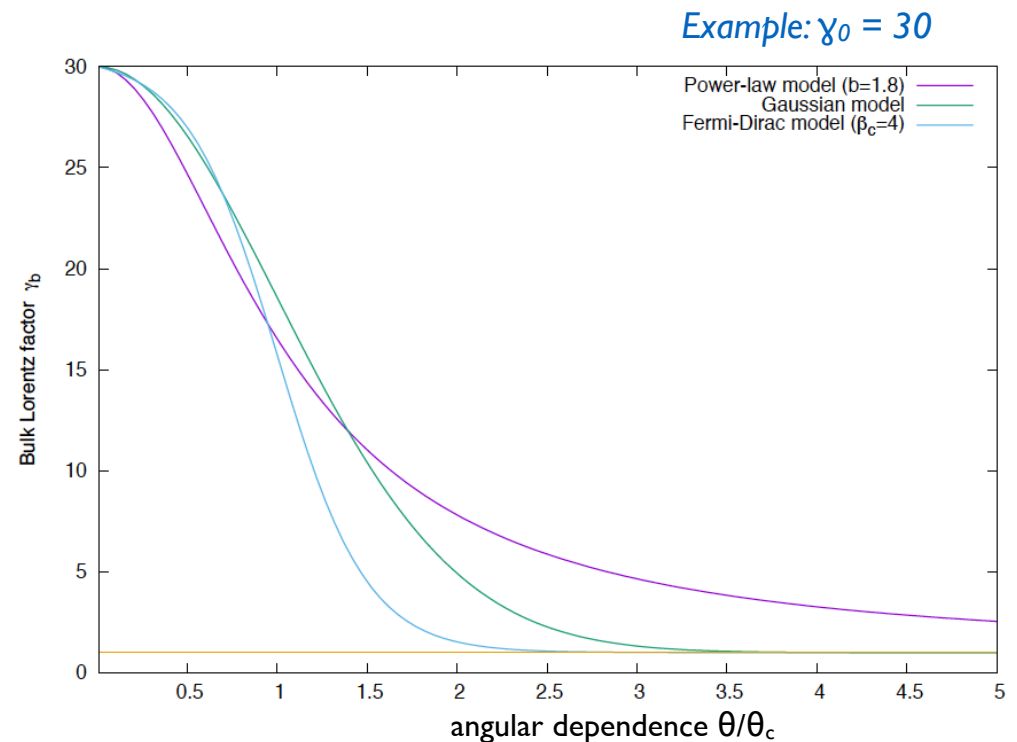
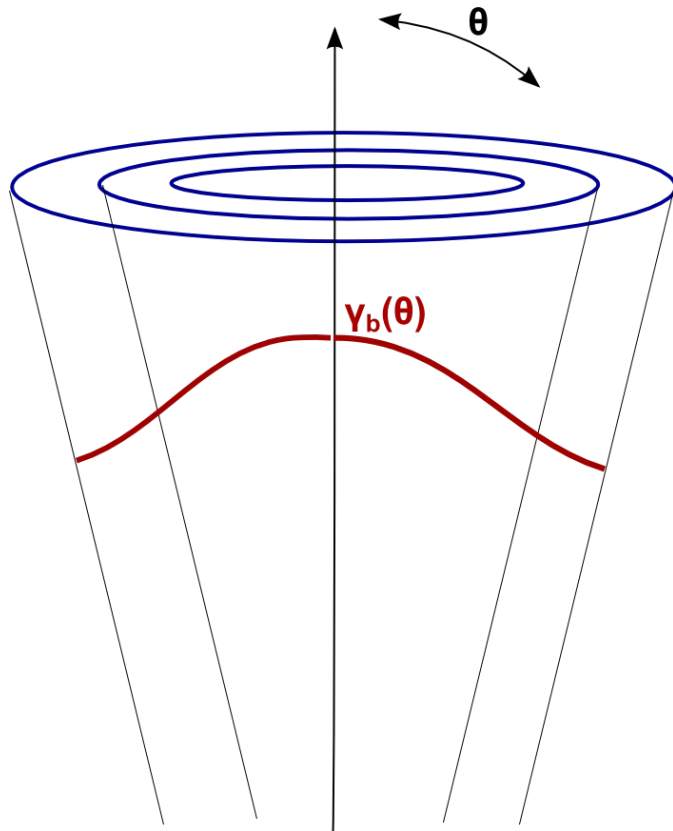
- ▶ **Extended emission** (optical, X-rays) in large-scale jets of AGN
- ▶ **UHECR acceleration** in AGN jets
 - ▶ can push up cosmic rays to UHE energies when shock speed is too slow (*Cen A*)
 - ▶ change in spectrum & composition possible
- ▶ **GRB jets**
 - ▶ can be faster than (internal) shock acceleration
 - ▶ delayed and extended electron acceleration possible
- ▶ **Multi-stage acceleration** in AGN jets
 - ▶ multi-component particle distribution...

e.g., Ostrowski 2000; FR & Mannheim 2002; Stawarz & Ostrowski 2002; FR & Duffy 2004ff; FR+ 2007; FR & Aharonian 2009....

Example

Application: Shear acceleration in expanding *relativistic* outflows

- ▶ Flow profile: $u^\alpha = \gamma_b(\theta) (1, v_r(\theta)/c, 0, 0)$ $\theta =$ polar angle
- ▶ power-law, Gaussian and Fermi-Dirac profile for γ_b :



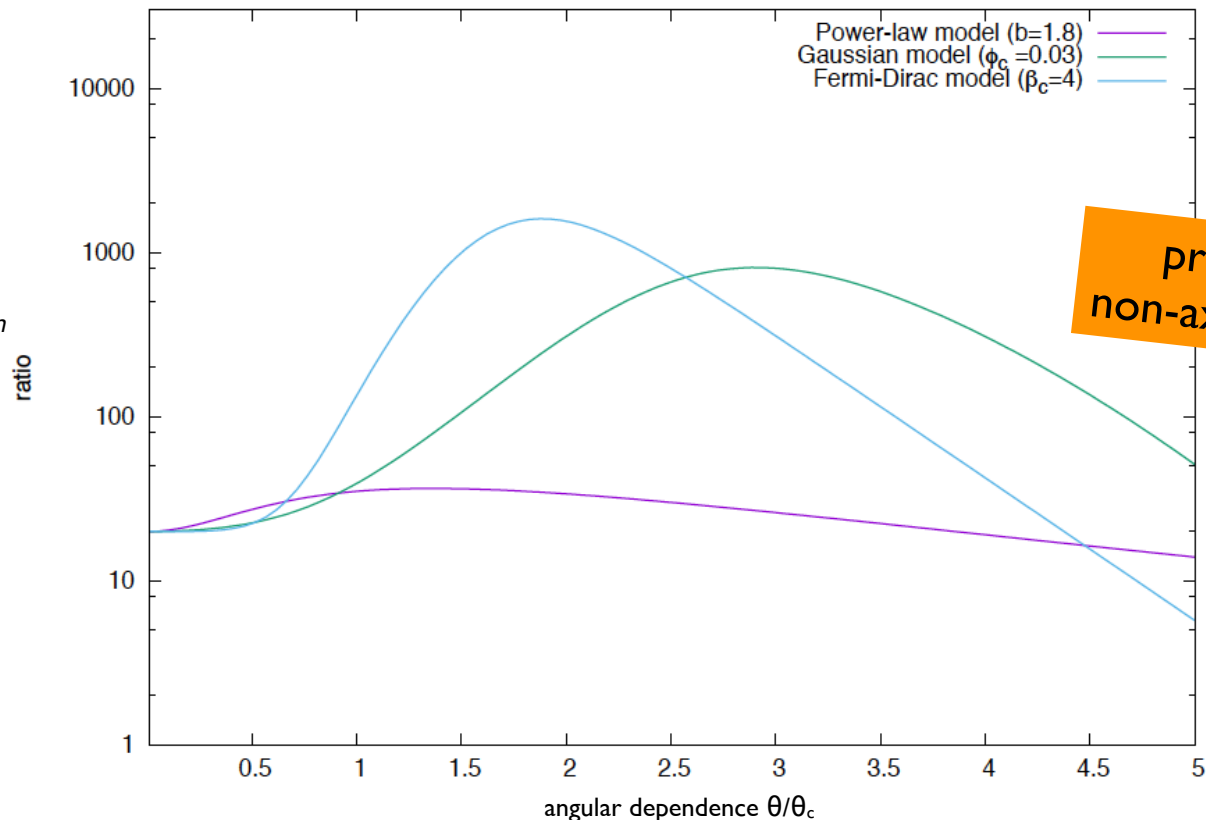
Example (continued)

- ▶ Characteristic acceleration time scale:

$$t_{\text{acc}}(r, \theta)' \sim r^2 / [\gamma_b^2 \lambda] \times 1 / [v_r^2 + 0.75 \gamma_b^2 (\partial v_r / \partial \theta)^2]$$

- ▶ acceleration versus adiabatic losses ($t' \sim r / c \gamma_b$)
- ▶ need sufficient energetic particles ($\lambda/r > 10^{-3}$)

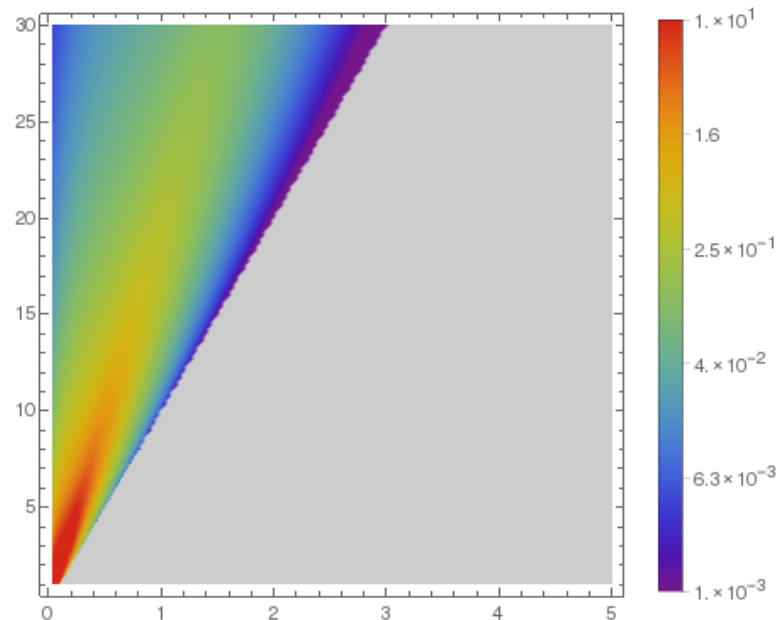
Ratio of viscous shear gain versus adiabatic losses times (λ/r), illustrated for $\theta_c = 0.03$ rad and $\gamma_0 = 30$.



preference for non-axis acceleration

Example (continued)

- ▶ continued acceleration possible
- ▶ energetic seeds required (“easy” for protons/hadrons)
- ▶ multi-stage for electrons needed
 - requires weak magnetic fields (synchrotron losses)
 - delayed onset ($B \sim 1/r^\alpha$) expected
 - prominent off-axis emission (ridge line....) possible



To conclude

Non-thermal particle acceleration in (gradual) shear outflows

- ▶ possibility for continued acceleration (as long as shear continues)
- ▶ needs energetic seed particle
 - “easy” for e.g., protons => UHECR ?
 - electrons more difficult (weak magnetic fields)
 - seeds via e.g. shock or stochastic processes
- ▶ multi-stage acceleration => multi-component particle distribution
- ▶ acceleration in Bohm limit can overcome synchrotron
- ▶ sensitive to turbulence characteristics
- ▶ complex jet morphology and multi-zone emission scenarios

THANK YOU!