

## Exploring the consequences of parameter values in cosmological models with CosmoEJS, an interactive package of cosmology Java simulations

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### Introduction

It is not only important to constrain the parameters of cosmological models with the most recent and precise observations, but it is also crucial to understand the physical consequences of those parameters for the different, but complimentary observations involved. CosmoEJS is an interactive Java nackage of simulations that allow the user to explore the ramifications of choosing various values for the cosmological parameters of a particular model [1]. These simulations now include observations of the growth of structures of galaxies, as well as, the expansion history of the universe. Us ers can visually inspect the plotted theoretical values of their model, compare numerical fitting using  $\gamma^2$  values calculate derived cosmological values and finally plot the expansion trajectory of their models as they evolve in time. The current list of more than 30 built-in observations includes several recent supernovae Type Ia surveys (SNe), baryon acoustic oscillations (BAO), the cosmic microwave background (CMB) radiation, gamma-ray bursts (G RB), measurements of the Hubble parameter, H(z), the A kock-Paczynski (AP) test, and the growth parameter, f(z) and  $\sigma s f(z)$ . The simulations allow for m any different classes of models, including dark energy, the cosmo logical constant and modified gravity.



Figu re 1. 2D contour plots showing 68 % and 95 % confidence constraints on { $\Omega_m$ ,  $\Omega_A$ }, from combining all data sets in the introduction with CMB measurements from Planck (PLA) [4].

## Cosmological Background

The cosm ic a cceleration can be explained by a cosmological constant, or some other form of repulsive dark energy, i.e. a negative pressure and a negative equation of state, or by an extension or modification to gravity at cosmological scales of distances. In the context of general relativity (G R), to account for this dark energy effect, the addition of a A term to Einstein's Field Equations (EFE) can be used to derive equations of motion with a cosmological constant of the desired value consistent with the dynamics of Friedmann-Lemaitre-Robertson-Walker (FLRW) universe. We provide a means of testing these commonly accepted models of the Universe and others with larges cale observations of the expansion of the universe, thereby deriving the parameters for the standard model in cosmology. We can better understand how constraints on parameters of a particular model d etermine its fit to different data sets and evolutionary dynamics by exploring these models using CosmoEJS

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Figure 2. 2D contour plots showing 68 % and 95 % confidence constraints on {H0,  $\Omega \kappa$ }, from combining all data sets in the introduction with CMB measurements from Planck (PLA) [4].

 $\Omega_K$ 

### The Model and Parameters to Fit

As an example, we beg in with the general model [2] that allows for varying dark energy and spatial curvature, but can reduce (w0 = -1.0, wa = 0.0, 0.0k = 0.0) to the simple A. Cold Dark. Matter model for constraining matter ( $\Omega_m$ ) and dark energy ( $\Omega_A$ ).



- H0 ≈ 69.0 (km/s Mpc ): the Hubble Constant parameter;
  Ωm ≈ 0.30 : the fractional matter density (subject to the
- constraint:  $\Omega m = \Omega b + \Omega c$  ); •  $\Omega b \approx 0.05$  : the fractional baryon density;
- $\Omega_c \approx 0.25$ : the fractional cold dark matter density;
- $\Omega_{\Lambda} \approx 0.70$ : the fractional dark energy density:
- Ωk ≈ 0.0 : the fractional curvature density;
- Ω0≈ 1.0: the sum total energy density (subject to the constraint; Ω0 = Ωm + ΩΛ + Ωk);
- w0≈-1.0: the equation of state of dark energy;
  wa≈ 0.0: the derivative of w0:

As the values of these parameters change, Eq. (1) describes different types of evolutions for the universe. These parameter constraints, see Fig. 1 and Fig. 2, are obtained using **CosmoMC** [3], but **CosmoEJS** can be used to numerically and visually confirm parameter values that match the data sets (and others), then simulate the evolutionary dynamic<u>a of the routders, see Fig. 3</u>.



Figure 3. Drap mixin,  $a(t)a(h_0/a_0)$  versus time (Gyre = 10<sup>9</sup> yea s) CommOZS output showing three different models (curves) of the expansion of the universe,  $a(t)d_0/a_0/a_0$  (scale factor) we rust time. The three models differ only in their fractional matter and dark energy densities,  $(Dm, D_A) = (10, 00)$ , (303, 070), (001, 0.99) correspond to top (ed.) middle (green hand bottom (blue), respective ly below the solid "A ge Today" (black ) line. (Note : Labels are draggable in CommOZS3).



Figure 4. Supernovae Type Ia (SNe) and Gamma Ray Busts (GRB) versus redshift CommETS0 uput showing three different models (curves) and two different experimental data sets; Ne (black) and GRB (ed.) The three models differ only in their fractional matter and dark energy densities;  $\{\Omega_m, \Omega_A\} =$  $\{0.01, 0.09\}, (0.30, 0.70), \{1.0, 0.0)$ ; correspond to top (blue), mid dle (gree 1), and bottom (red), respectively. (Noci: Labels are dmegable in CommETS3)



Figure 6. Grow the parameter, f(z) versus redsh iff. CosmoE35 output showing three different models (curves) compared to data sets of the grow thp arme ter, f(z) of structure for mattion of a paixes at different redshit. The three models differ and p in their fractional matter rand da k energy de mistings,  $[\Omega, \Omega, \Lambda] = \{10, 00\}, (0.30, 0.70), (0.01, 0.99)$  correspond to top (red), middle (gree n), and botton n(blue), respectively. (Note: Labels are dangeable in CosmeE353) The usercan toggle back and for the three on f(z) and  $\sigma(f(z))$  data comparisons as is appropriate for some classes of models.



Figure 5. Ba syon Accountic Oscillations (B AO) versus redshift Coeme D23 coupts showing three different models (curves) compared to data sets of the BAO nairo, the size of the sound horiz con, r, to its of Edetive dista nee, D vin the galaxies. The three models differ on j in their face thoma I matter and dark cene gyr densities,  $(D_m, D_m) + (0.01, 0.99)$ , (0.30, 0.79), (1.0, 0.01) comes ond to so the dark cene gyr due to the sound in the dark cene gyr (blue), middle (green), and bottom (red), respectively. (Note: Labels are dingable in *Doceme*253)



Figure 7. Hubble Pan mete r,  $H \in$ ) versus redshift. **CosmoEJS** output showing three different models (urves) compare du data sets of the expansion rates  $H_{c}$ ) of galaxies at different redshift. The three models differ rough in the ir fractional matter and dark energy densities, { $\Omega_{m}, \Omega_{A}$ } = {10, 0, 0}, {0.30, 0, 0}, {0, 01, 0, 9}; ocoses and the experiment of the (green), and bottom (blue), respectively. (Note: Labels are dargable in **CosmeZJS**)



Figure 8. Alcock-Paczynski test ve nsus redshift. ComnoEJS output showing three different models (uurves) compa red to data sets of the Alcock Paczynski test. The three models differ only in their fractional matter and data kee negy densities,  $\{\Omega_m, \Omega_A\} = \{1.0, 0.0\}, \{0.30, 0.70\}, \{0.01, 0.99\}$  correspond to top (red), middle (green), and bottom (blue), respectively. (Note: Labels are dingable in CommOSTS)

### **Results and Discussion**

At present CosmoEJS is designed as a research and an educational tool. The programs are precise enough to perform research grade calculations for testing most classes of cosmo logical models. They also allow the user to select inputs for parameters that are perhaps not scien tifically accepted. This allows the user to discover how parameters influence the shape of the curve for a particular theoreticalmodel, thereby understanding the physical interpretation of a model's fit to the data. Variations of the programs have been us ed for science outreach and for classroom illustration Future versions of the programs (in-progress) will involve an optimization method for the fitting of the cosmological models to the data sets to provide best-fit cosmological para meters. We will also provide the user with a field to enter their own function for integration as the theoretical model ( inprogress). This will allow for exotic models of cosmic acceleration including several types of modified gravity models. The programs wil 1 continue to receive updates and modifications for new more precise data sets as these become publicly available.

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[4] Based on observations obtained with Planck (http://www.esa.int/Planck), an ESA science mission with instruments and combutions directly funded by ESA Member States. NASA, and Canada.



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Come see the poster for more models or **CosmoEJS** is publicly available at ٠ http://www.compadre.org/osp/items/detail.cfm?ID=12406

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