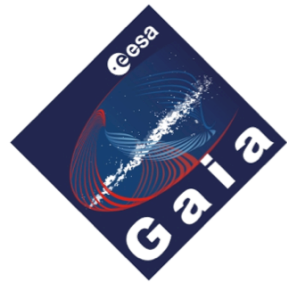
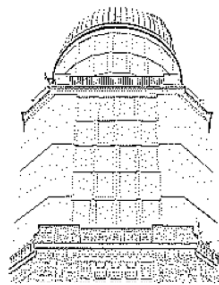


# Space astrometry with Gaia and relativistic astrophysics

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TEXAS 2015, Geneva, Switzerland, 17 December 2015

# Astrometry: the art of measuring stellar positions

Astronomy analyses stellar light:

Astrometry	– direction
Photometry	– quantity
Spectroscopy	– wave length
Polarimetry	– polarization





# Gaia: a space telescope

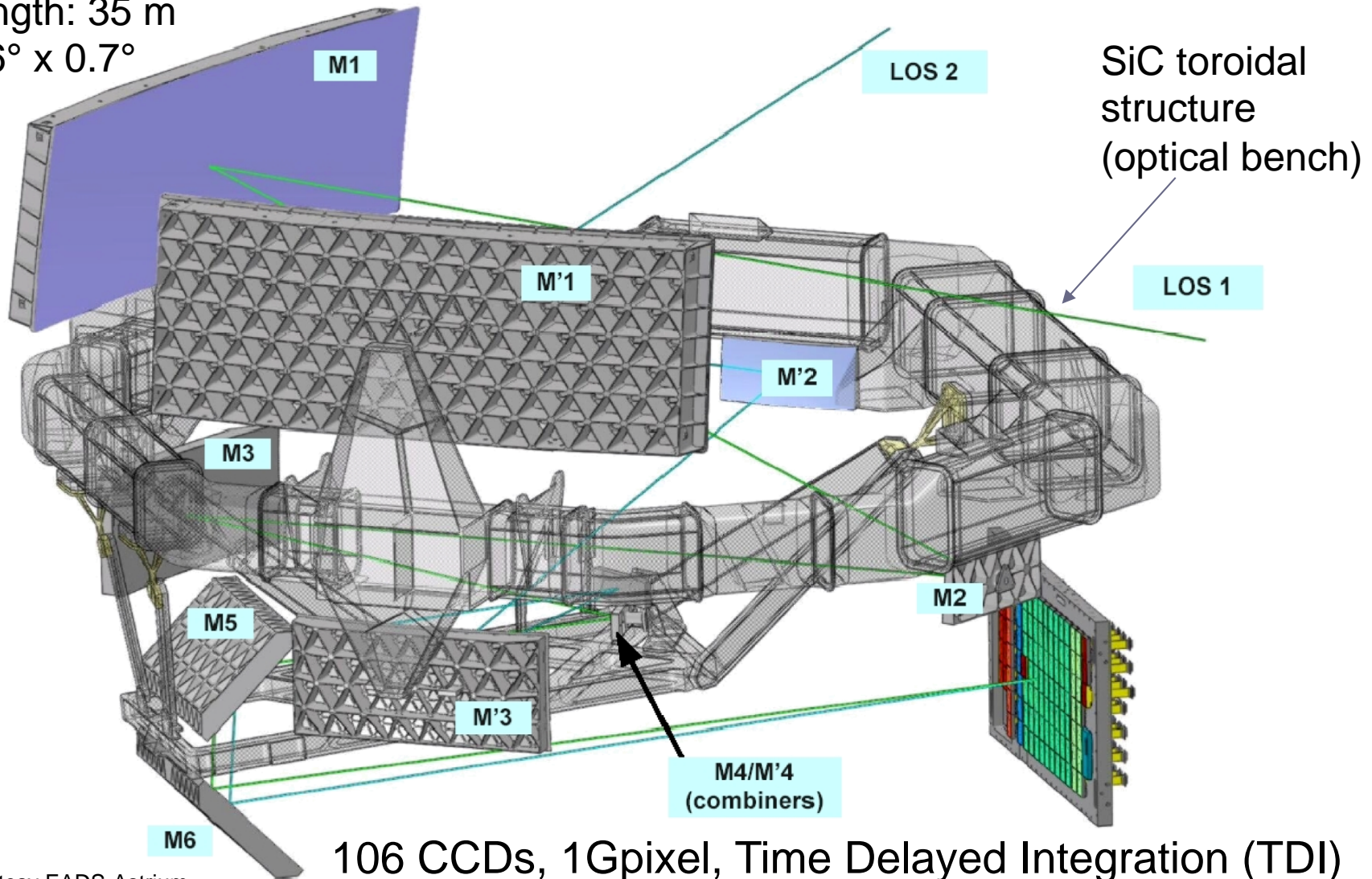
Astrometry+photometry of  $10^9$  sources up to 20 mag (+radial velocities)

2 SiC primary mirrors at  $106.5^\circ$

Aperture: 1.45 m x 0.5 m

Focal length: 35 m

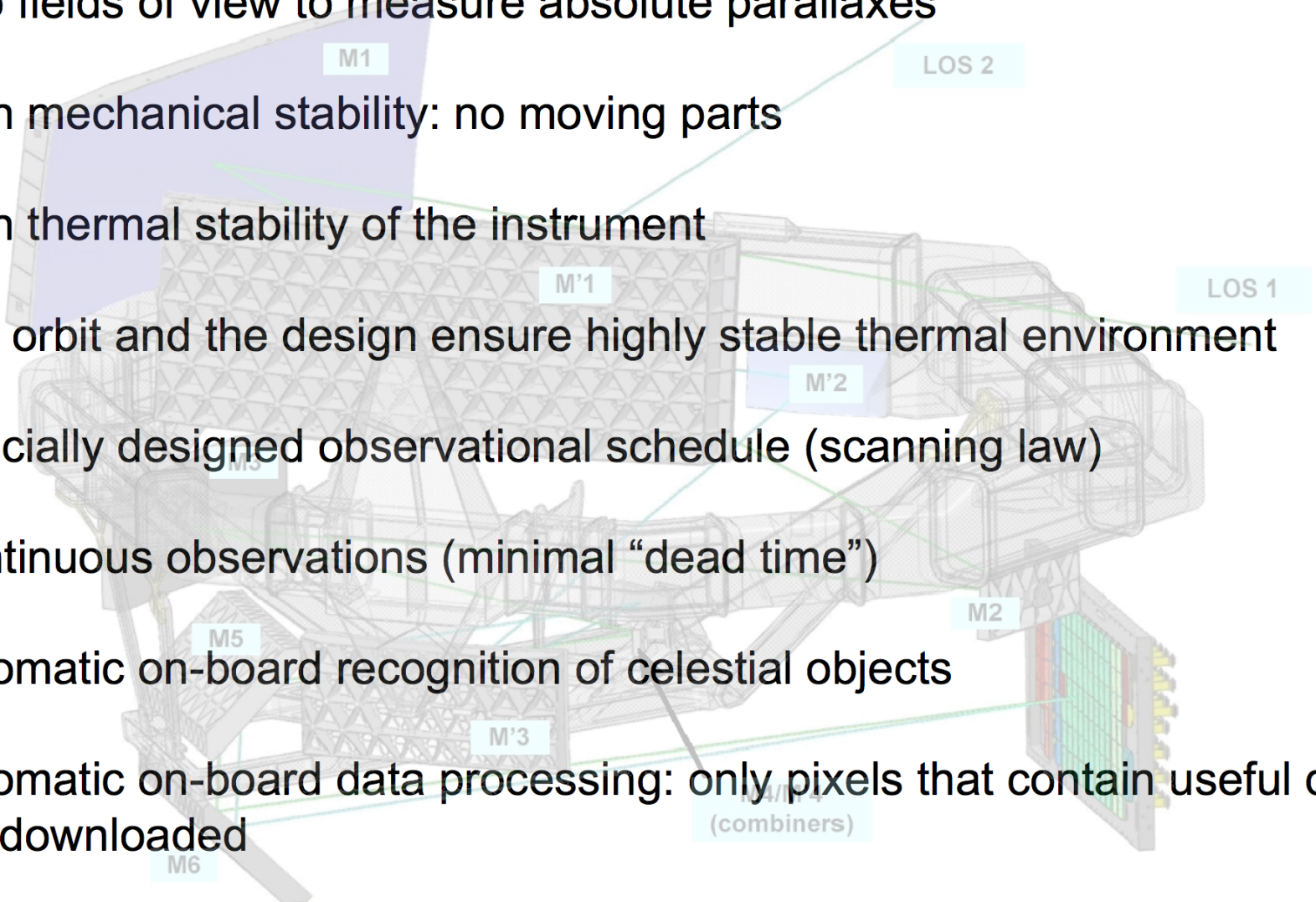
FOV:  $1.6^\circ \times 0.7^\circ$



106 CCDs, 1Gpixel, Time Delayed Integration (TDI)

# Gaia: tuned for high-accuracy astrometry

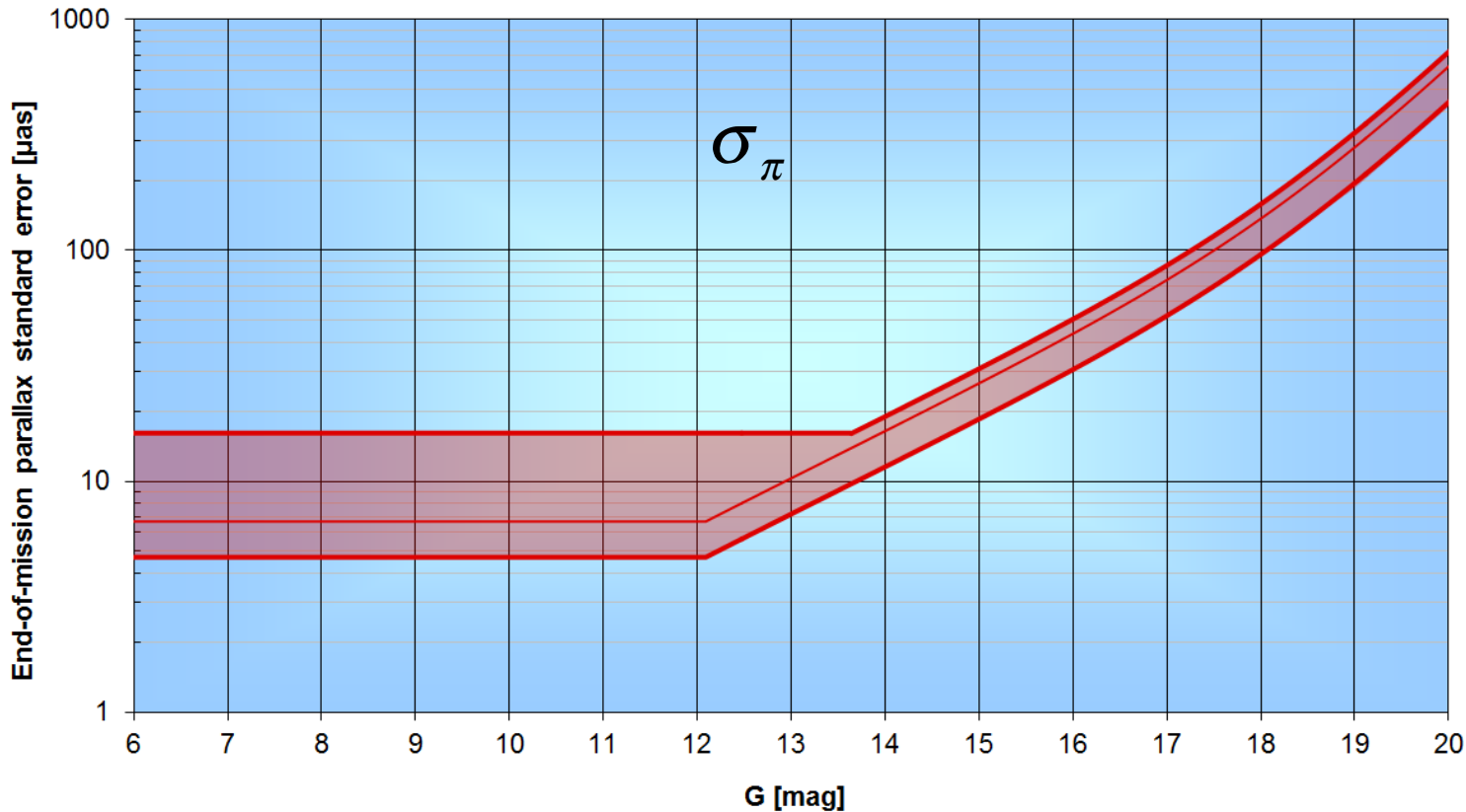
1. Two fields of view to measure absolute parallaxes
2. High mechanical stability: no moving parts
3. High thermal stability of the instrument
4. The orbit and the design ensure highly stable thermal environment
5. Specially designed observational schedule (scanning law)
6. Continuous observations (minimal “dead time”)
7. Automatic on-board recognition of celestial objects
8. Automatic on-board data processing: only pixels that contain useful data are downloaded



1 PB of raw data; 800 observations for each of  $10^9$  objects;  $10^{10}$  unknowns

# Gaia: expected uncertainties of astrometry

Predicted uncertainty depends of the brightness and varies over the sky



$$\sigma_{\alpha^*} = 0.787 \sigma_{\pi}$$

$$\sigma_{\delta} = 0.699 \sigma_{\pi}$$

$$\sigma_{\mu\alpha^*} = 0.556 \sigma_{\pi}$$

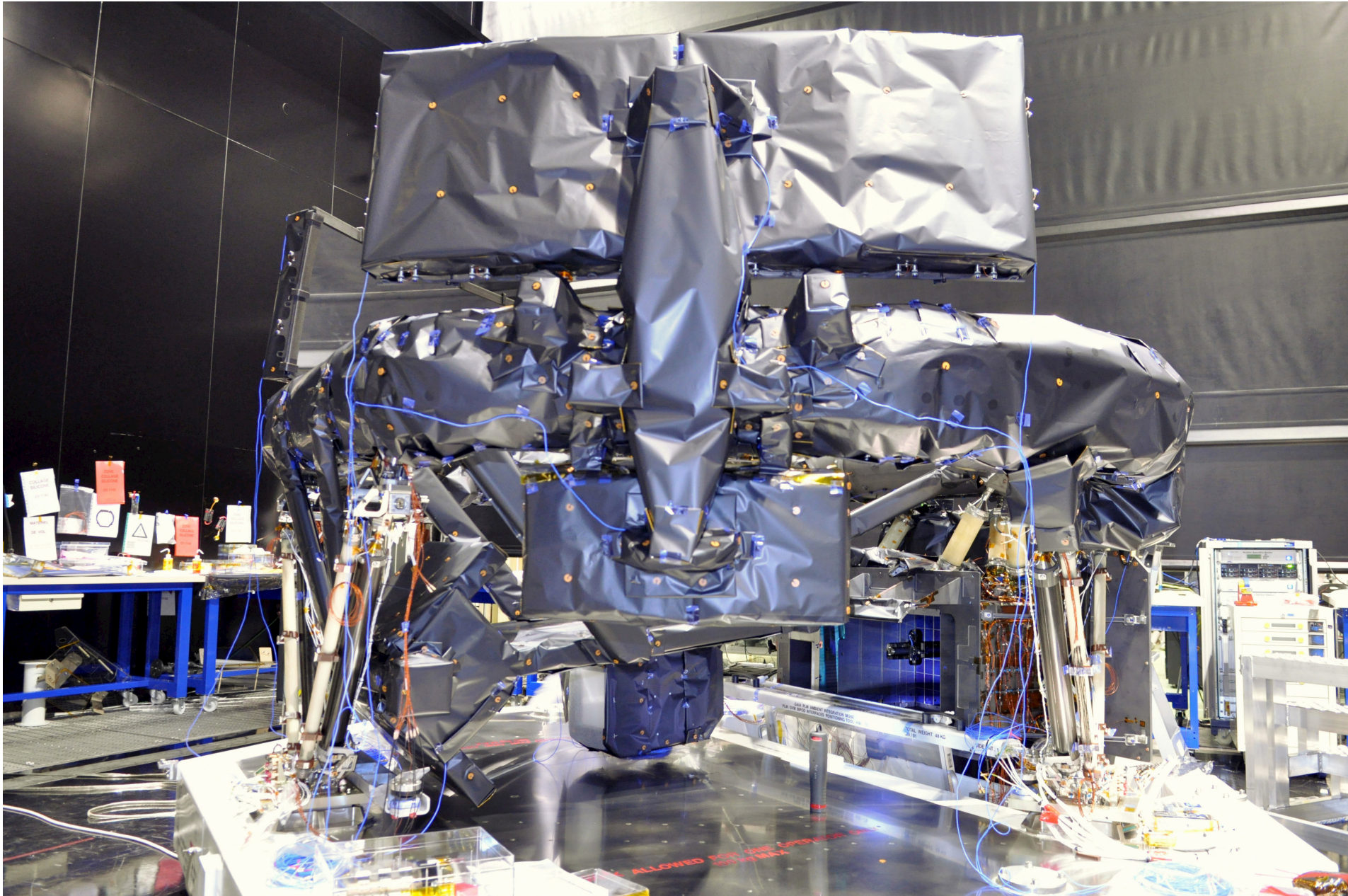
$$\sigma_{\mu\delta} = 0.496 \sigma_{\pi}$$

$$G = V - 0.0257 - 0.0924(V - I_C) - 0.1623(V - I_C)^2 + 0.0090(V - I_C)^3$$

$(\alpha, \delta)$  position;  $(\mu_{\alpha^*}, \mu_{\delta})$  proper motion;  $\pi$  parallax



# Gaia payload ready for launch (2013)





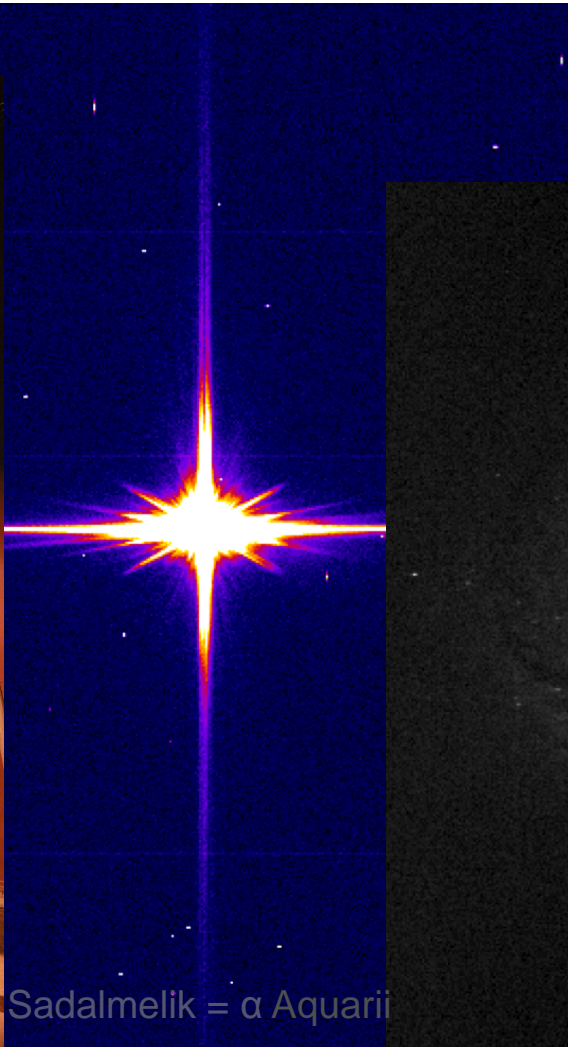
# Gaia:

- launched 19 December 2013
- extensive commissioning until July 2014
- 517 days in routine science operations

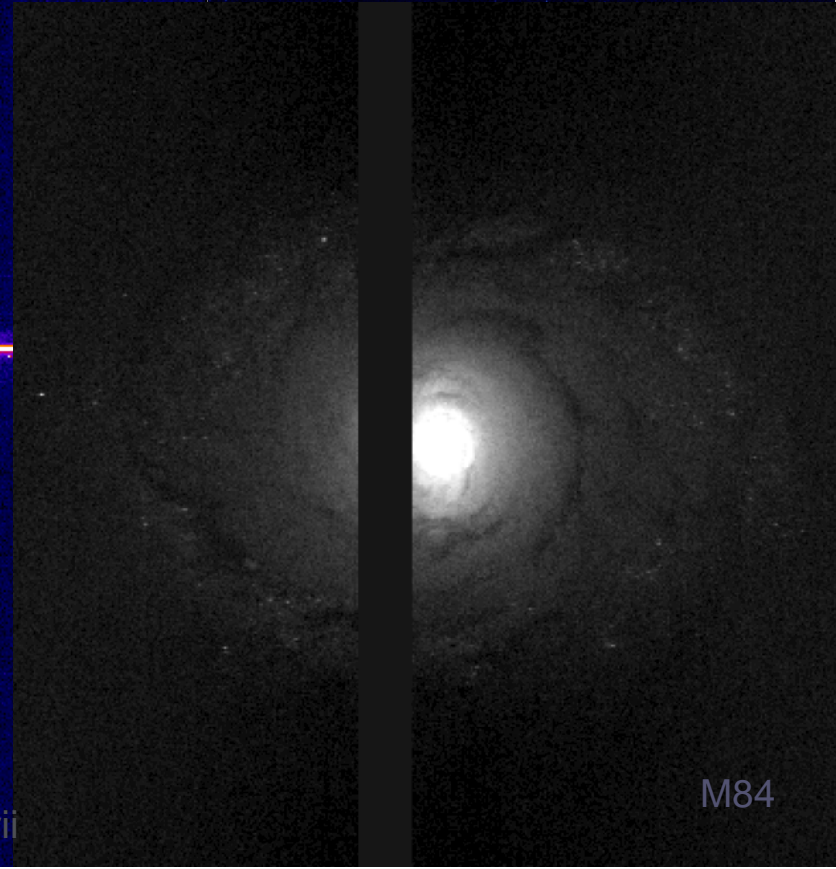
NGC1818



Figure courtesy Arianespace

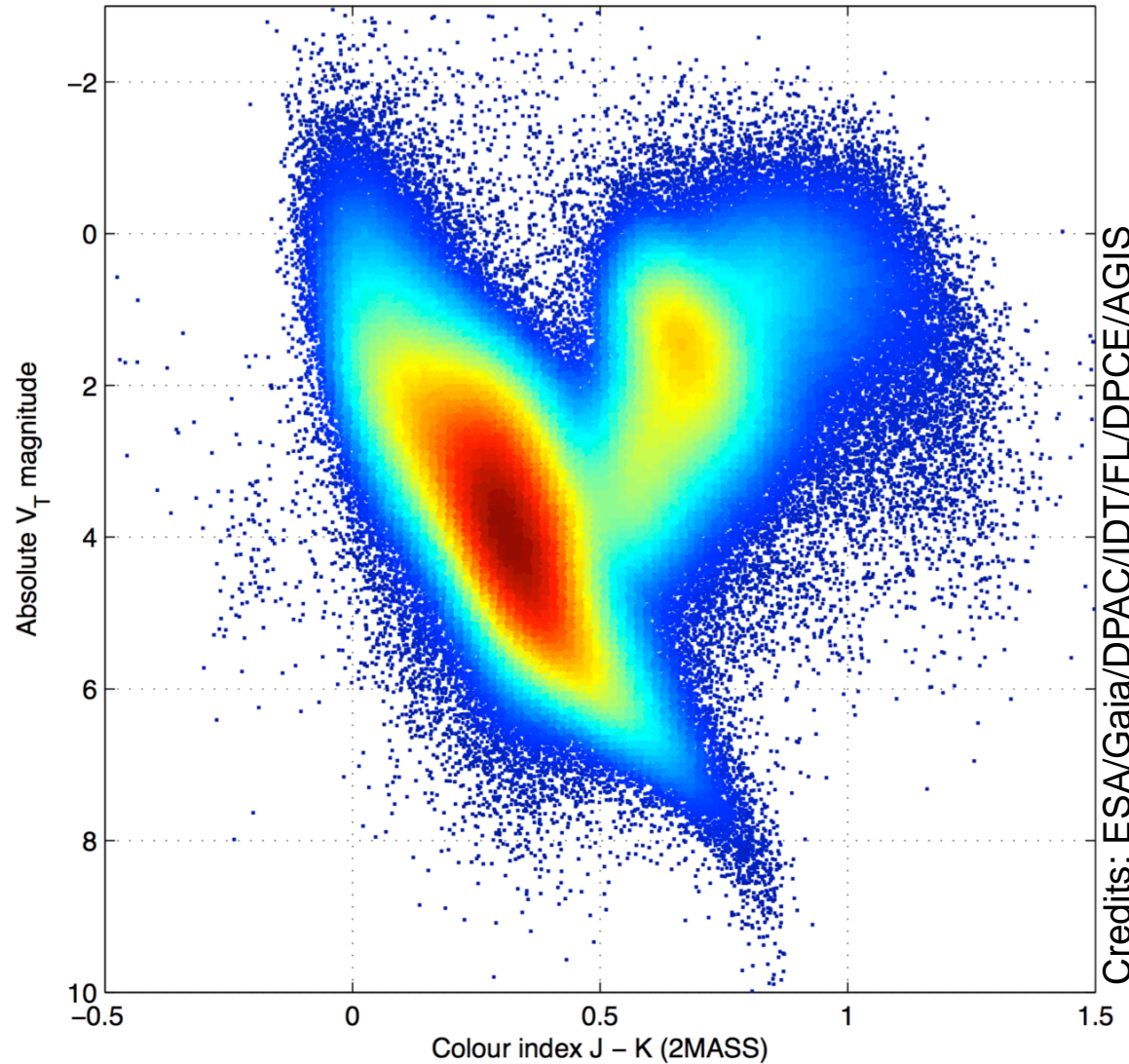


Sadalmelik =  $\alpha$  Aquarii



M84

# The first Hertzsprung-Russel diagram

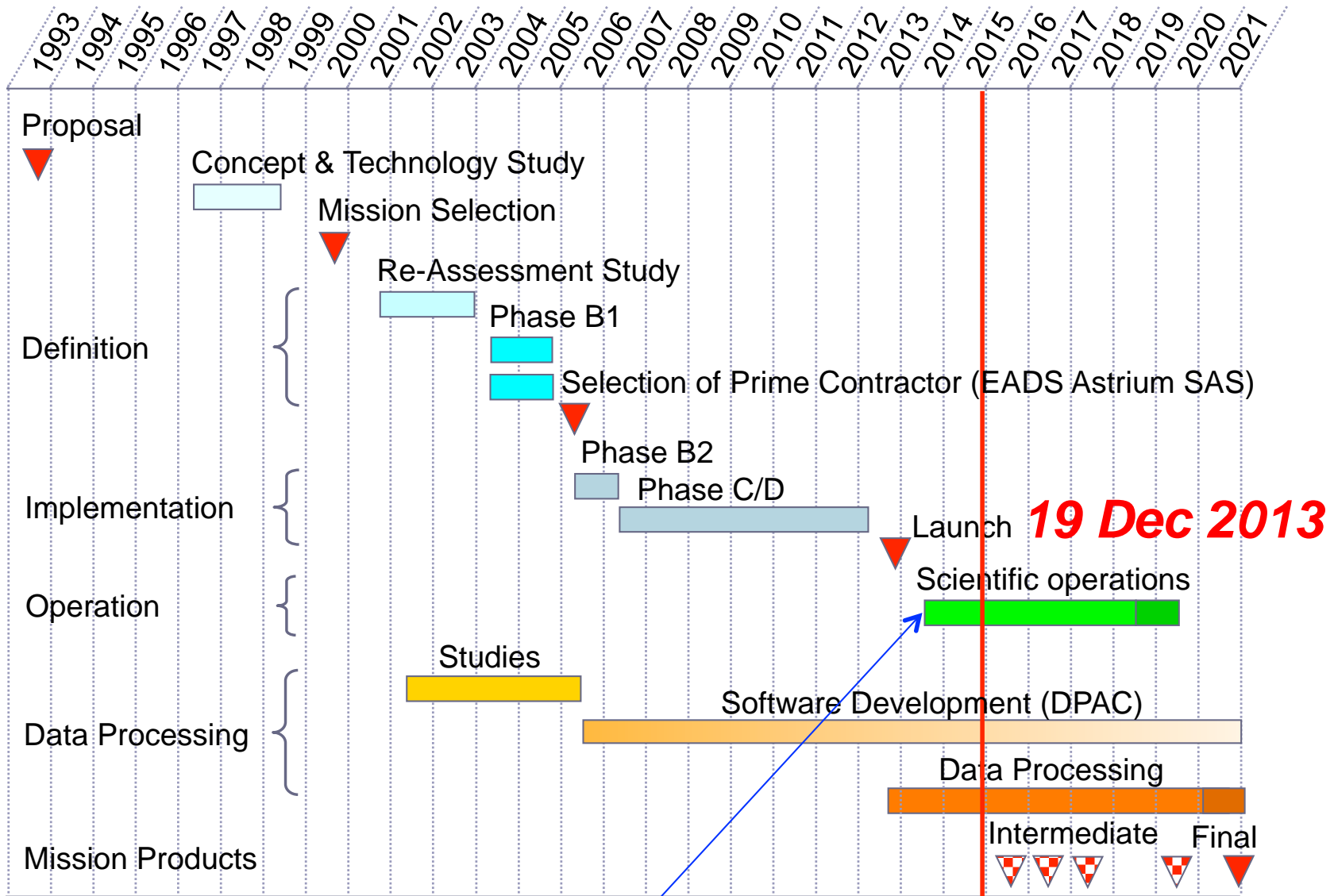


- done in July 2015
- for testing only
- colours from 2MASS since Gaia colours were not yet available in July 2015

Ugly? Plotted with the very first trial solution of about a million stars to see that what we get from our data processing makes some sense.



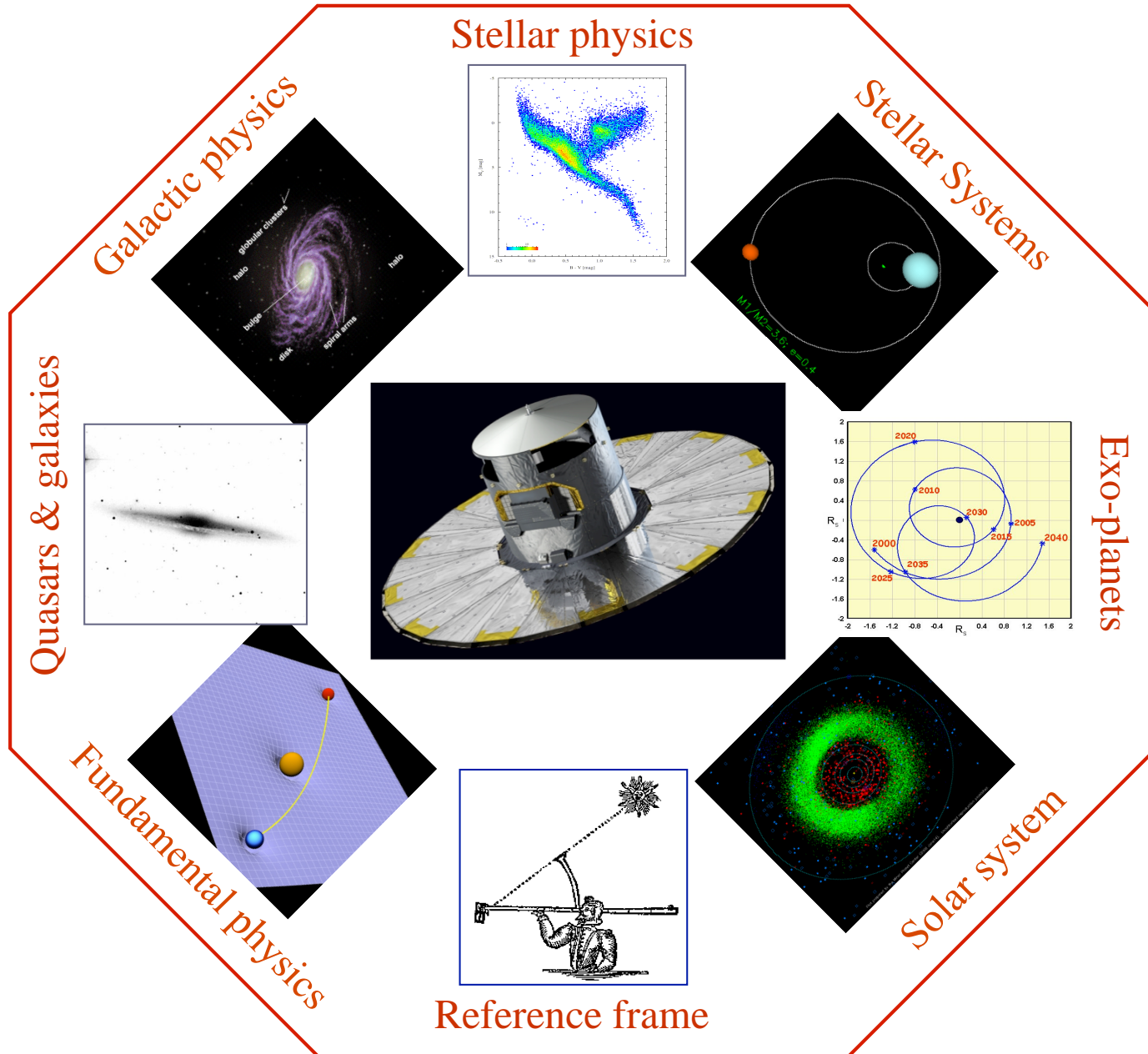
# Schedule



extensive commissioning until July 2014

Today = day 517 of science operations

# Gaia: goals



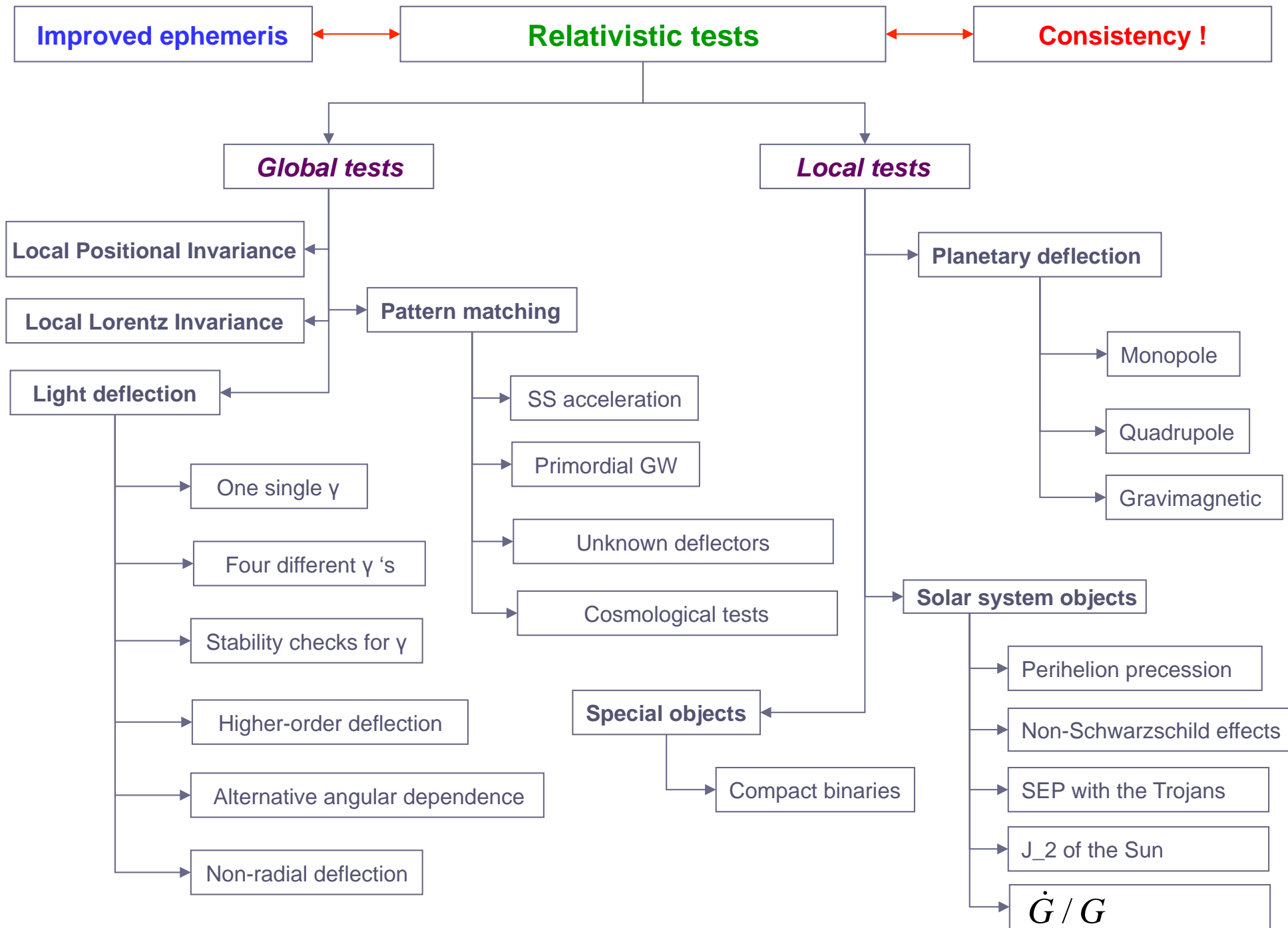
# Prerequisite for all applications: the model

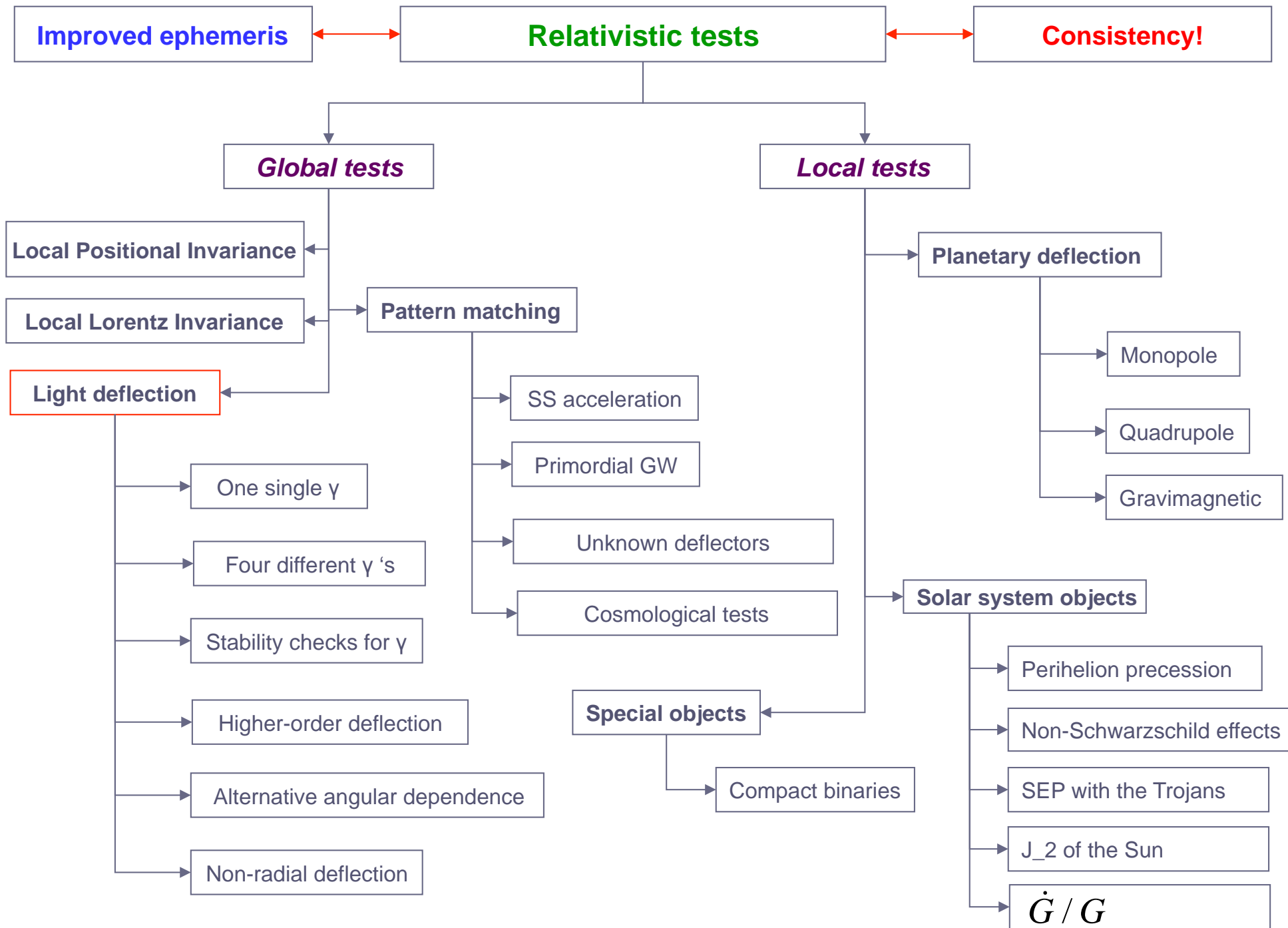
- Standard IAU relativistic reference systems (Soffel et al. 2003) form the basis for the Gaia data processing
- Relativistic model for astrometric observations (Klioner 2003, 2004):
  - aberration via Lorentz transformations
  - deflection of light: monopole (post- and post-post-Newtonian), quadrupole and gravitomagnetic terms up to 17 bodies routinely, more if needed
  - relativistic definitions of parallax, proper motion, etc.
  - relativistic definitions of observables and the attitude of the satellite
  - relativistic model for the synchronization of the Gaia atomic clock and ground-based time scale (Gaia proper time etc.)

Consistency of all aspects of the modelling (constants, ephemerides, etc.) should be ensured and monitored

**Efficiency!  $10^9$  objects, 1 sec per object = 30 years!**

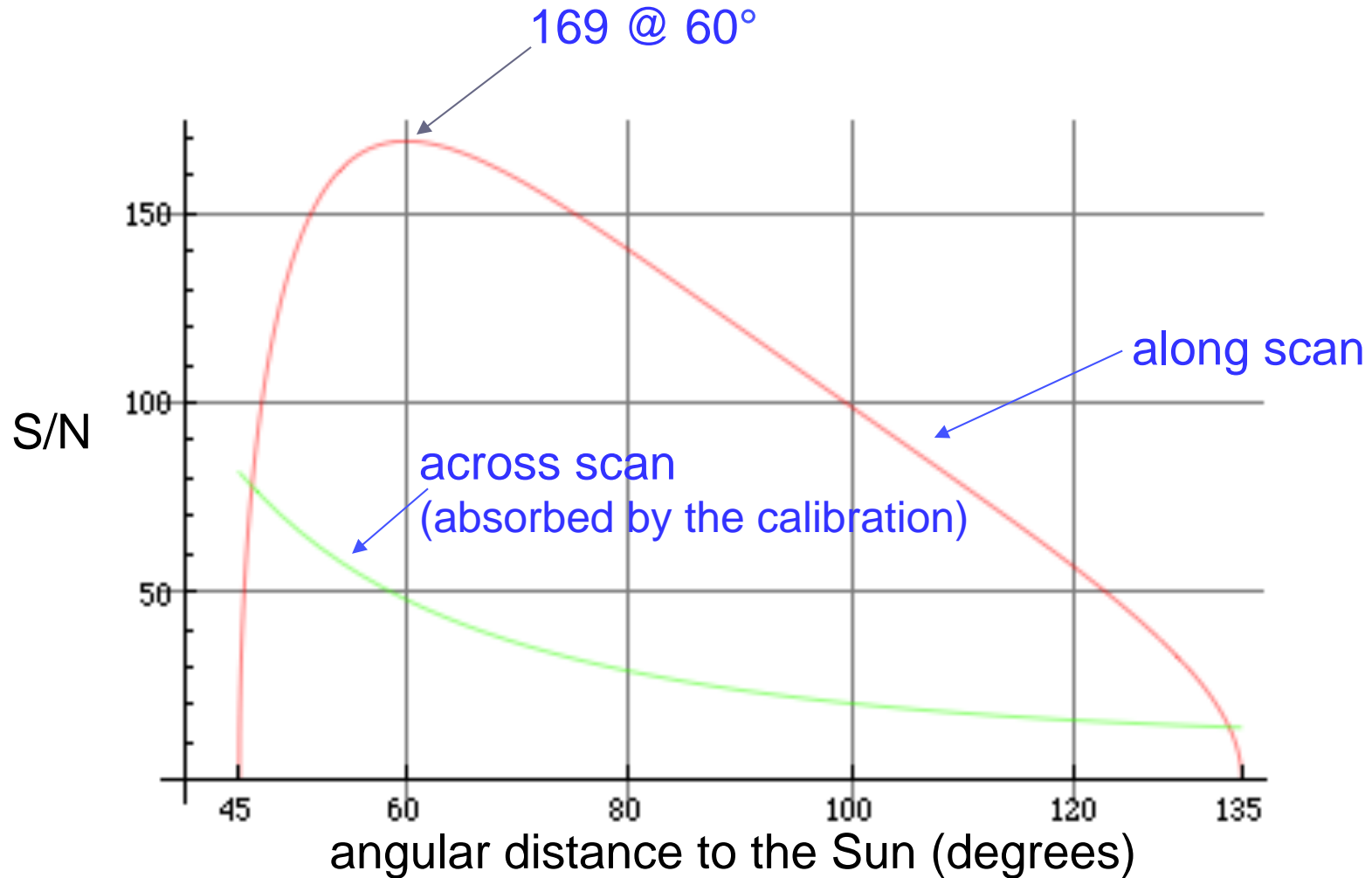






# Light bending with Gaia

- Potentially the most precise test with Gaia
- Gaia sensitivity for one transit of an optimal star:



about 80 transits for each of  $10^9$  sources...

# Light bending with Gaia

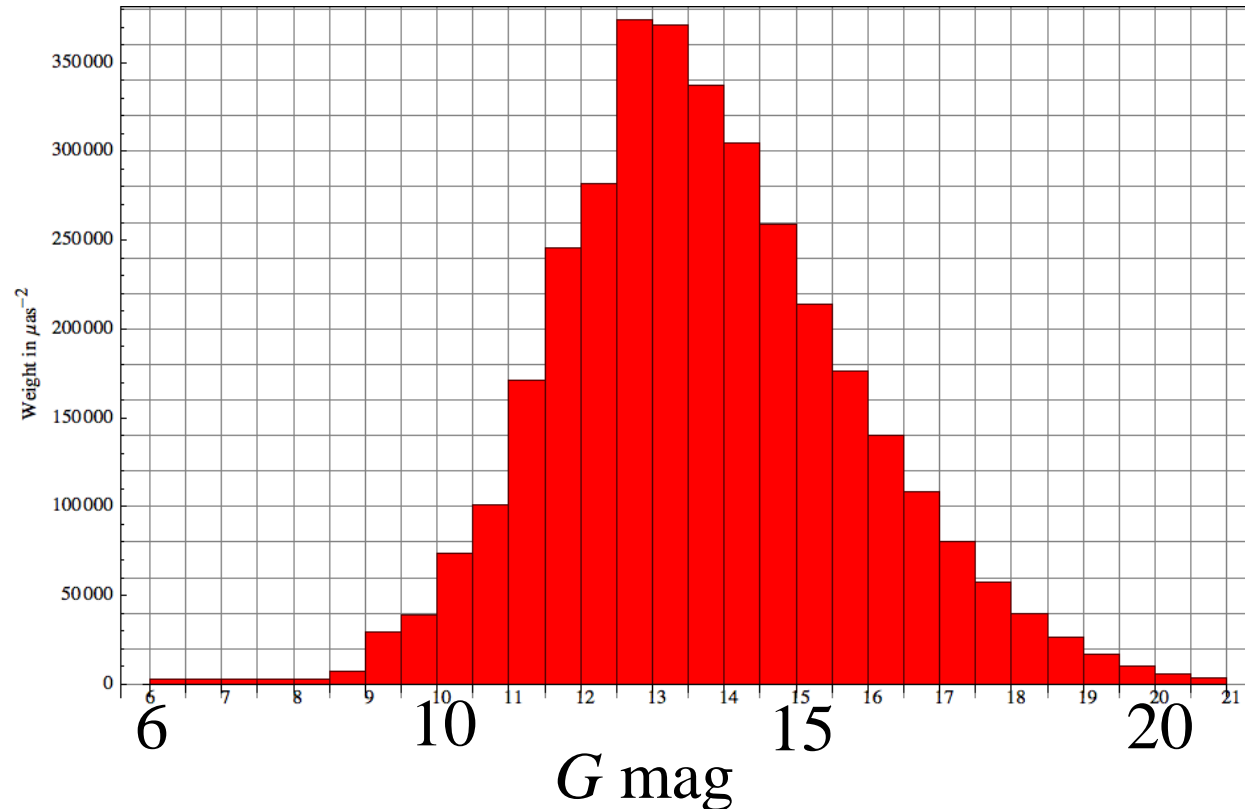
- The post-launch model for the observational noise and the Besançon model for the Galaxy

all stars with  $G < 20$ :

$$\sigma_{\gamma} > 1.3 \times 10^{-6}$$

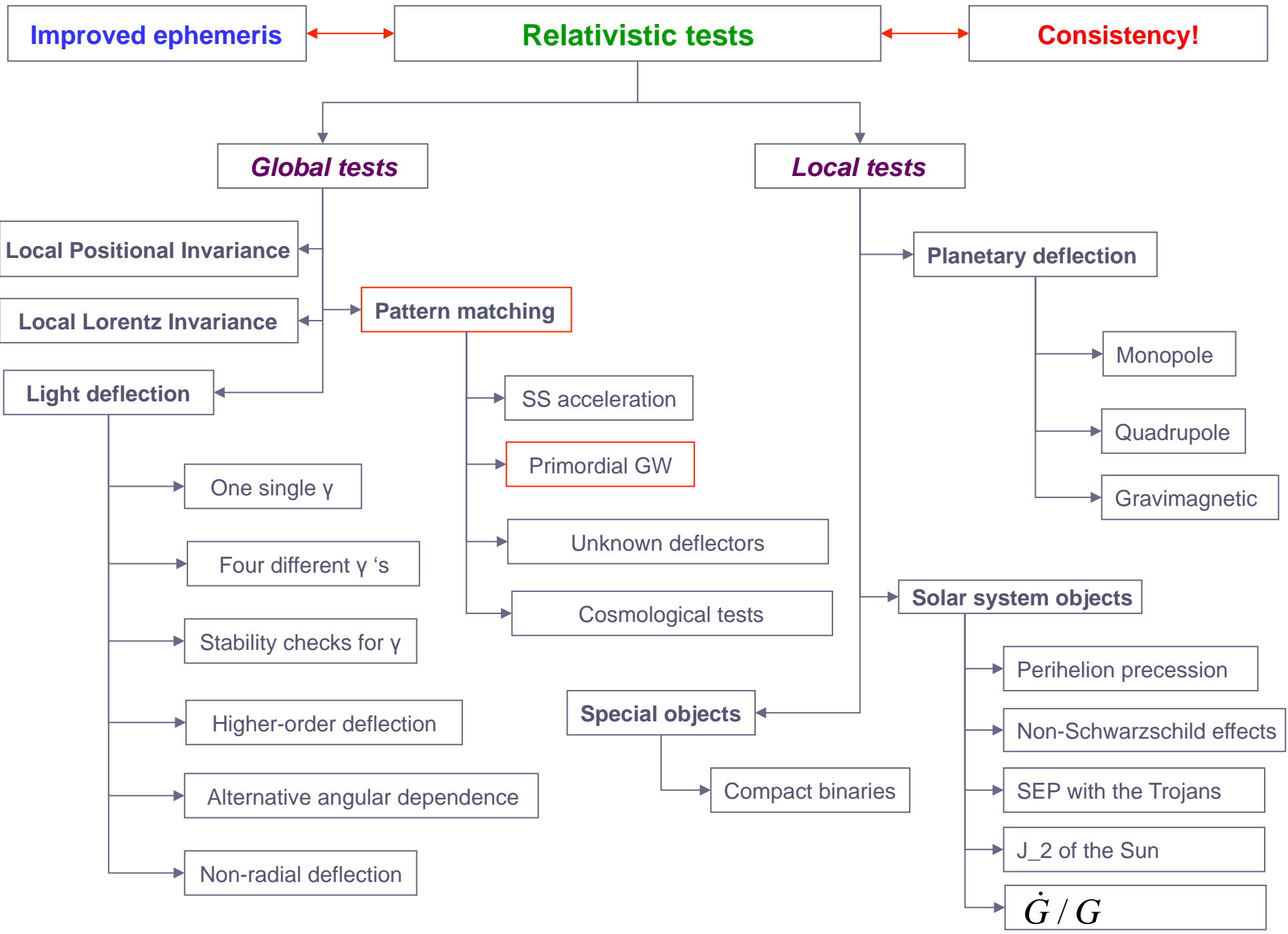
if no bright stars ( $G < 15$ )  
are used:

$$\sigma_{\gamma} > 2.5 \times 10^{-6}$$



- Systematic errors are a challenge and may even completely ruin this promise!

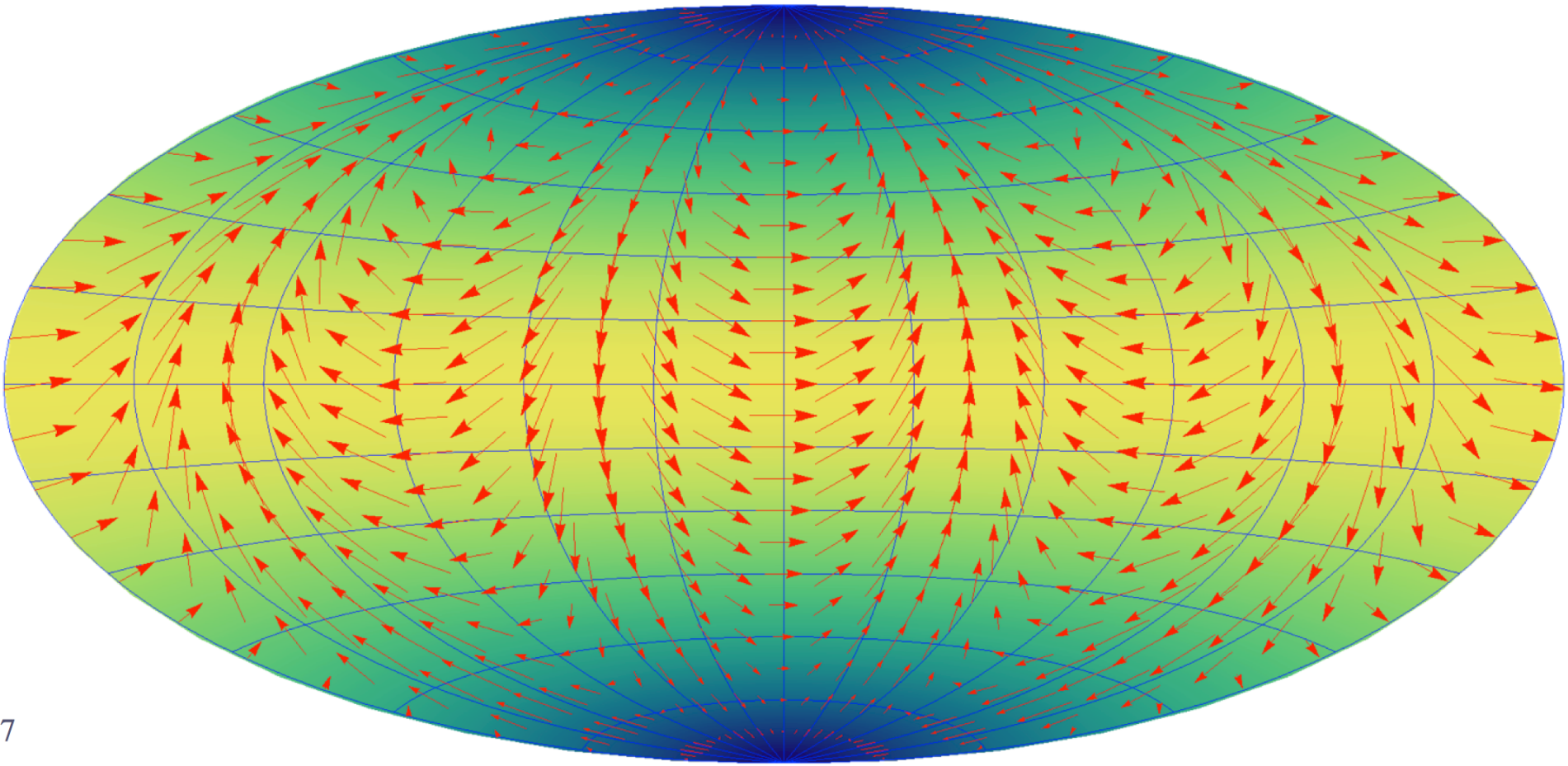




# Gravitational waves and astrometry

- At each moment of time a GW produces a deflection pattern on the sky: it is not a pure quadrupole, but rather close to it (Pyne et al, 2006; Gwinn et al, 2006; Book, Flanagan, 2011; Klioner, 2014)

This is for a GW propagating in the direction  $\delta=90^\circ$ :



# Application 1: ultra-low-frequency GWs

If the frequency of the GW is so small that the period of the wave is substantially larger than the time span covered with observations, the GW deflection pattern is absorbed by proper motion parameters.

This is now the pattern in the proper motions of QSOs in the final catalogue (stars' proper motions are systematic and cannot be used):

Constraint of the stochastic GW flux with ultra-low frequencies (Pine et al, 1996; Gwinn et al., 1997)

Mignard, Klioner (2012): detailed simulations + post-launch performance

$$\Omega_{GW} < 0.00012 f^{-2} \quad \text{for } \nu < 3 \times 10^{-9} \text{ Hz}$$
$$f = H / (100 \text{ km s}^{-1} / \text{Mpc})$$

About 80 times better than the best current estimate from VLBI



# Application 2: low-frequency GWs

If the frequency of the GW is large enough, the time-dependence of the deflection does not allow the effect to be absorbed by proper motion.

This is now a time-dependent pattern in the residuals of the solution (at each moment of time only certain directions are observed):

1. The frequency that could be detected in Gaia data

$$6 \times 10^{-9} \text{ Hz} < \nu < 3 \times 10^{-5} \text{ Hz}$$

not too much correlated to proper motions

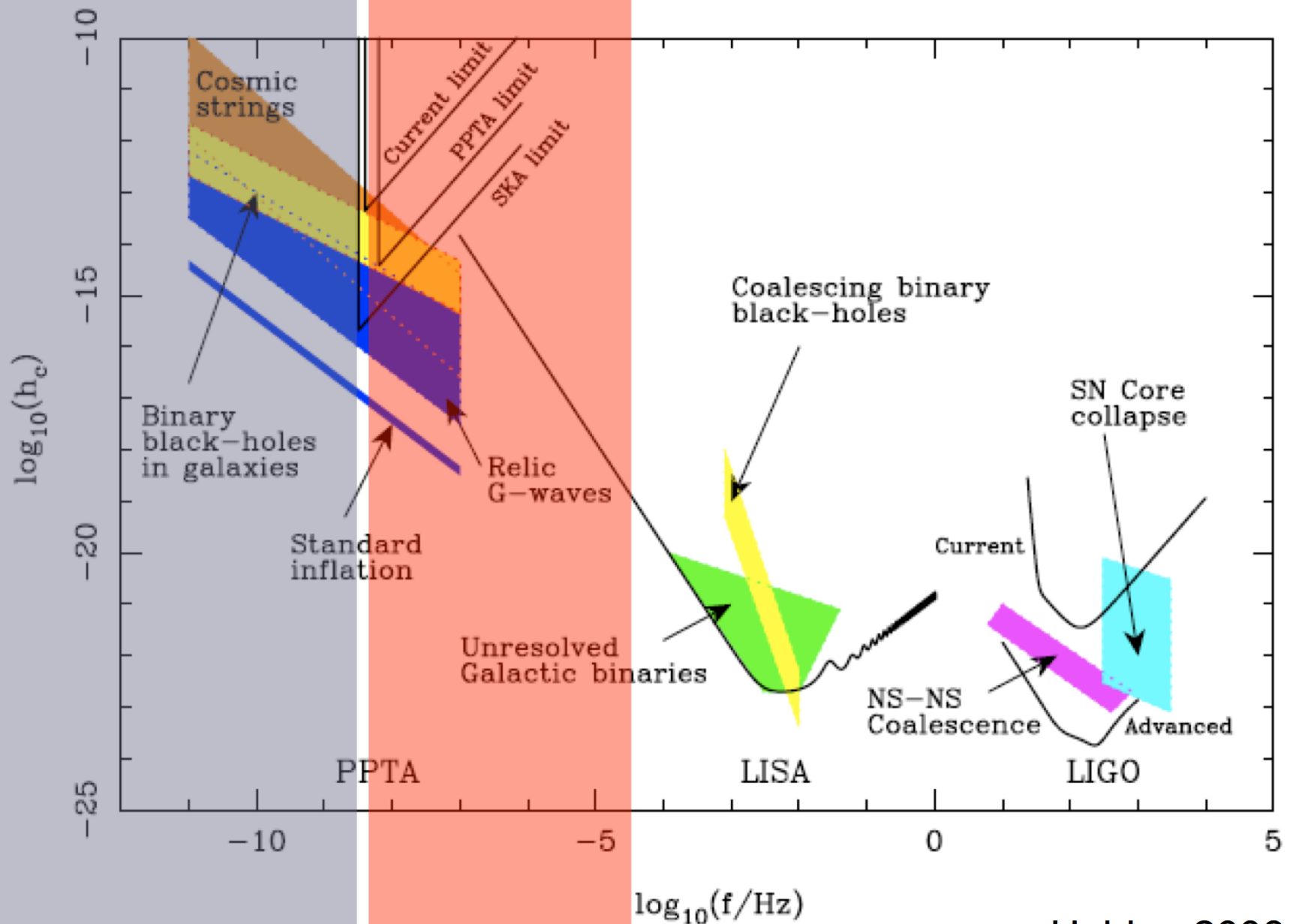
slower than 1.5 periods of rotation

2. Maximal theoretical sensitivity of Gaia to a constant parameter

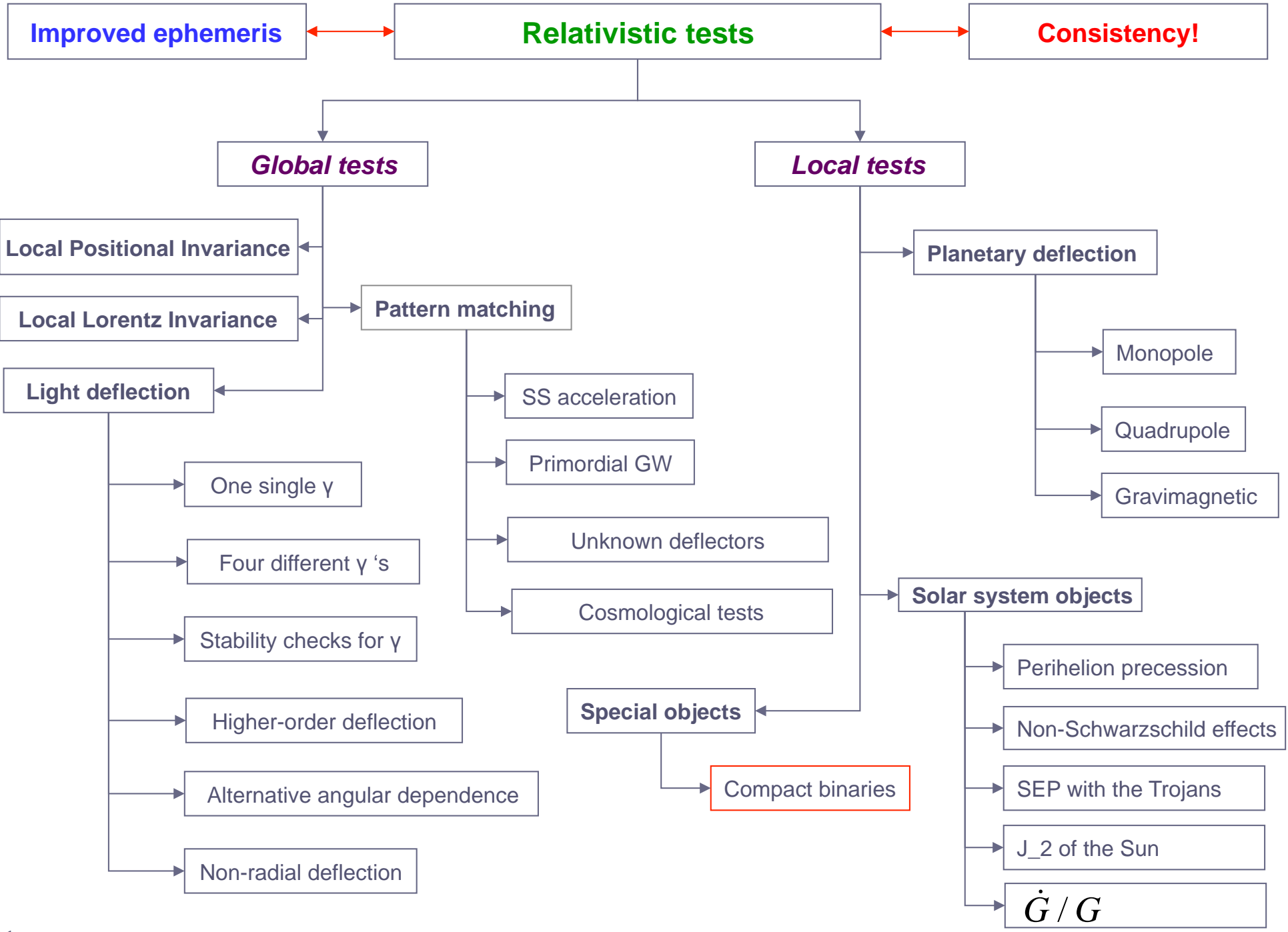
$$\sigma_h \geq \left( W_{\text{full}} \right)^{-1/2} = 5.4 \times 10^{-4} \mu\text{as} = 2.6 \times 10^{-15}$$

The actual sensitivity is a factor **10-50** worse (Geyer, Klioner, 2014)

# Gravitational Wave Spectrum



Hobbs, 2008

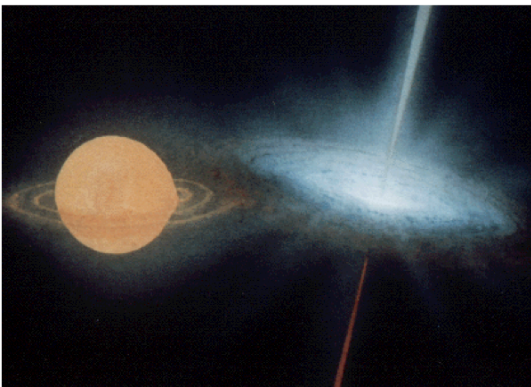




# Masses and orbital inclination of neutron stars and black hole in X-ray binaries

- Astrometric wobble of the visible companions
- distance and 3d velocity of the whole system

Many systems with astrometric signatures larger than 20-30  $\mu\text{as}$ :



Bastian, Fuchs, 2004;  
Unwin et al., 2008;

Cyg X1 (40  $\mu\text{as}$ ), SS433 (30  $\mu\text{as}$ ), ...

e.g. Cyg X1 – 10%



- BH: Mass function of BH candidates ( $M < 5M_{\odot}$ ?  $M > 20M_{\odot}$ ?)
- neutron stars: constraints on the nuclear equation of state (maximal mass)
- source luminosities, mass accretion rates, sizes of accretion disks...
- proper motions to determine their birthplaces  
(e.g. whether a supernova is required for the formation of a black hole)

# What is left out in this presentation

The core science of Gaia will contribute to clarification of the nature of

- Dark energy

precise calibration of the distance scale

quantify dispersion in tracers

- Dark matter

dark matter distribution in various components of the Galaxy

is the dark matter distribution compatible with MOND, ...

# Backup slides

# Gaia and fundamental physics: a summary

- All the **Einsteinian effects** that were used in the model can be tested:
  - light-bending effect from several kinds of gravitational fields:
    - monopole
    - quadrupole
    - translational gravitomagnetic
  - relativistic effects in the motion of solar-system objects (e.g., perihelia)
- Tentative **non-Einsteinian effects** will also be tested:
  - relativistic aberration (Local Lorentz Invariance – a big MM experiment)
  - violation of the Strong Equivalence Principles from asteroids
  - time-dependence of the Newtonian gravitational constant
  - non-Einsteinian light-deflection laws
- Special data processing for certain celestial objects will be used to estimate **a number of quantities of high interest for fundamental physics**:
  - the acceleration of the solar system relative to QSOs
  - the energy flux of primordial gravitational waves
  - Upper estimates of higher-frequency gravitational waves
  - the masses of a number of black hole candidates in compact binary systems (from astrometric wobbling of the components)



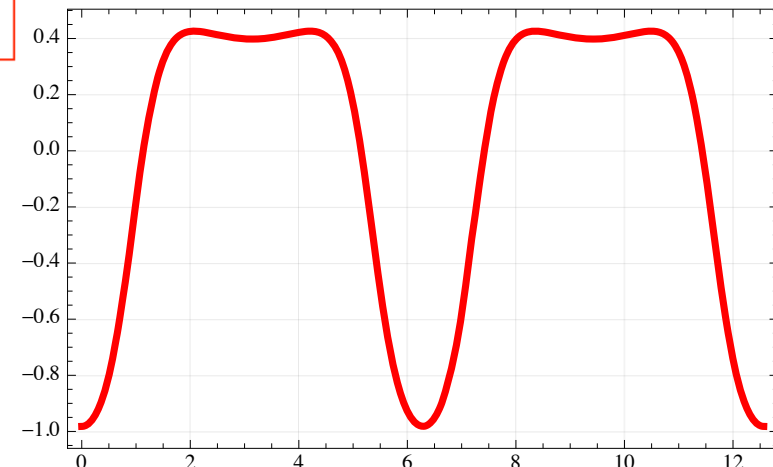
# Problems: correlations and systematic errors

- Correlation with the parallax zero point  $\rho_{\gamma\pi} \approx -0.89$ 
  - increases the uncertainty of  $\gamma$  by a factor of  $(1 - \rho_{\gamma\pi}^2)^{-1/2} \approx 2.2$
  - impossible to determine  $\gamma$  without good parallaxes
- Very complex data processing: Astrometric Global **Iterative** Solution
  - no full variance-covariance matrix possible,
  - no realistic uncertainty from the fit

→ Statistical bootstrapping to take into account “unknown” correlations:

$$\sigma_{\gamma}^{\text{realistic}} / \sigma_{\gamma}^{\text{formal}} = 3.33 \pm 0.07$$

- Systematic errors in calibration parameters (e.g, in the basic angle) can seriously bias the estimate of  $\gamma$ 
  - no  $\gamma$  without good calibrations

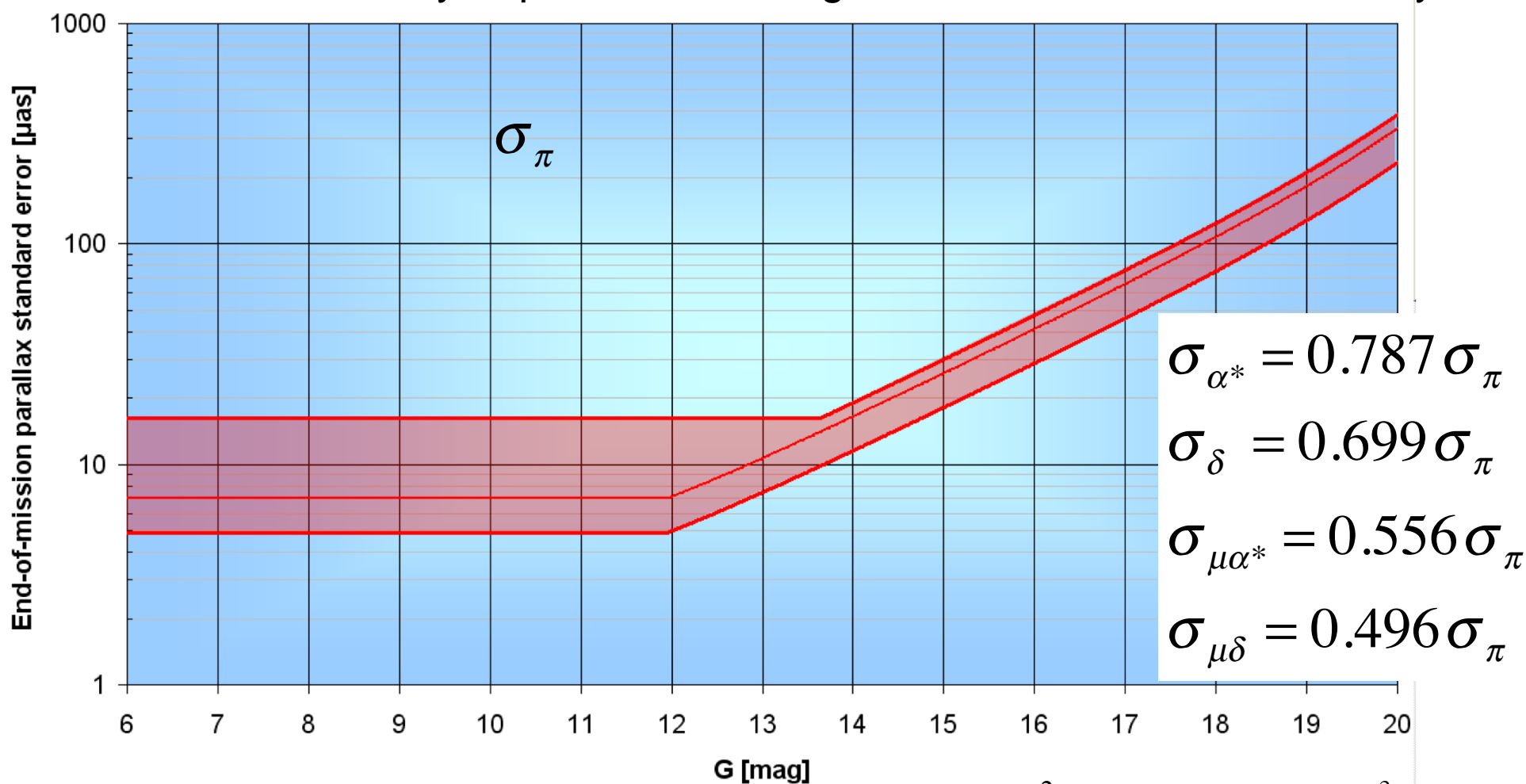


# Gaia: hardware problems

- Gradual throughput decrease
  - reason:** unexpected water in the spacecraft which slowly evaporates and condenses as ice on the (cold) mirrors
  - remedy:** periodic (max. twice per year) heating of the payload
  - consequences:** <1 month of additional dead time per year
- Excessive stray light in some parts of the focal plane
  - reason:** manufacturing errors of the sunshield
  - remedy:** none
  - consequences:** lower accuracies for stars  $G > 16$  (factor 2 at  $G = 20$ )
- Large variations of the BA (basic angle) are measured by the BA monitor
  - reason:** unknown
  - remedy:** BA monitor; studies ongoing
  - consequences:** hopefully none, but...; much more complex calibration

# Gaia: no longer expected astrometric accuracy

Predicted uncertainty depends of the brightness and varies over the sky

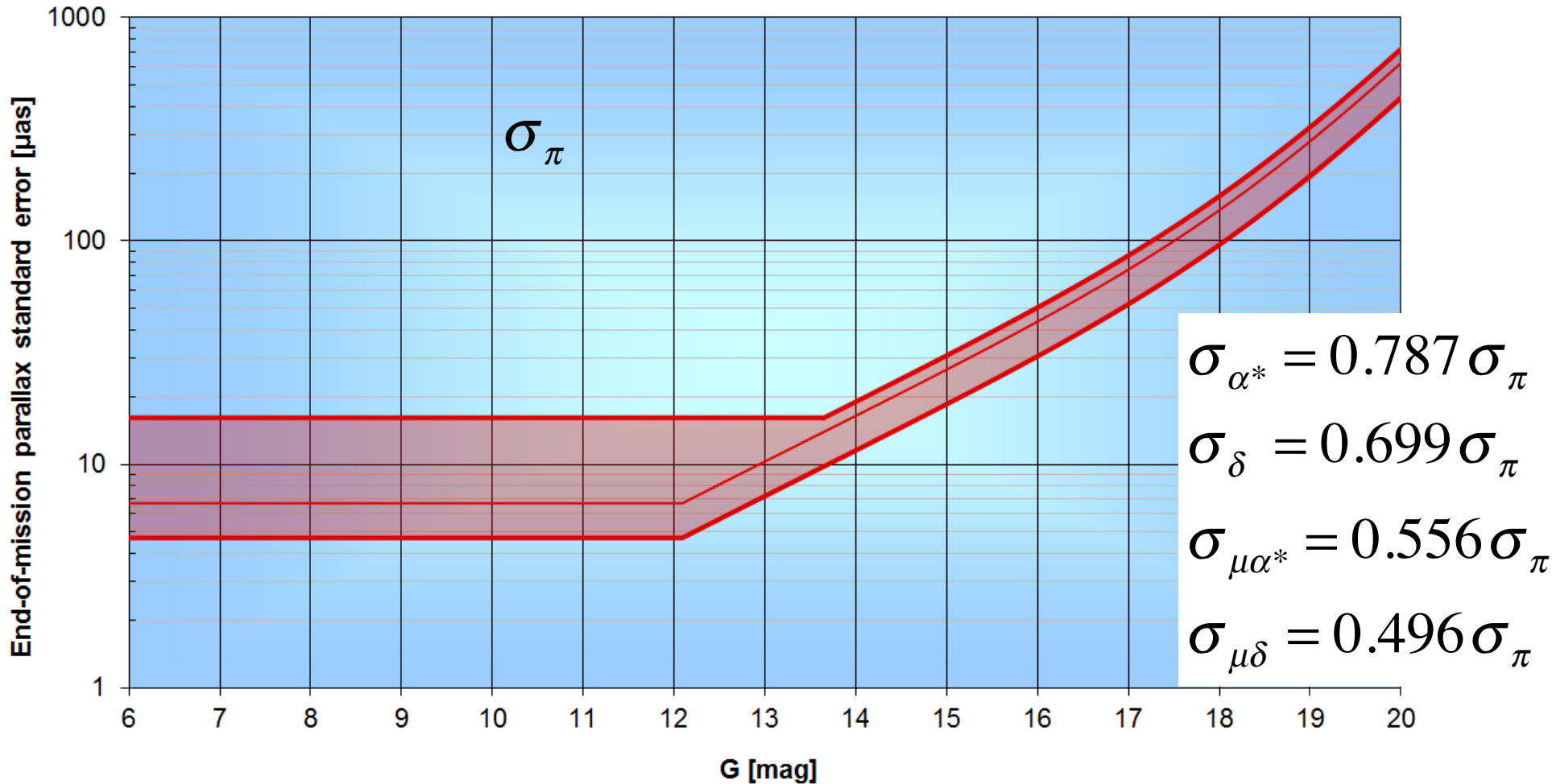


$$G = V - 0.0257 - 0.0924(V - I_C) - 0.1623 (V - I_C)^2 + 0.0090(V - I_C)^3$$

$(\alpha, \delta)$  position;  $(\mu_{\alpha^*}, \mu_{\delta})$  proper motion;  $\pi$  parallax

# Gaia: expected uncertainties of astrometry

Predicted uncertainty depends of the brightness and varies over the sky



$$G = V - 0.0257 - 0.0924(V - I_C) - 0.1623 (V - I_C)^2 + 0.0090(V - I_C)^3$$

$(\alpha, \delta)$  position;  $(\mu_{\alpha^*}, \mu_{\delta})$  proper motion;  $\pi$  parallax



# Gaia: expected astrometric accuracy

<http://www.cosmos.esa.int/web/gaia/science-performance>

End-of-mission parallax:

	<b>B1V</b>	<b>G2V</b>	<b>M6V</b>
<b>V-I<sub>c</sub> [mag]</b>	-0.22	0.75	3.85
<b>Bright stars</b>	5-14 $\mu$ as (3 mag < V < 12 mag)	5-14 $\mu$ as (3 mag < V < 12 mag)	5-14 $\mu$ as (5 mag < V < 14 mag)
<b>V = 15 mag</b>	26 $\mu$ as	24 $\mu$ as	9 $\mu$ as
<b>V = 20 mag</b>	600 $\mu$ as	540 $\mu$ as	130 $\mu$ as

Other parameters:

$$\sigma_0 = 0.743 \cdot \sigma_{\pi};$$

$$\sigma_{\alpha^*} = 0.787 \cdot \sigma_{\pi};$$

$$\sigma_{\delta} = 0.699 \cdot \sigma_{\pi};$$

$$\sigma_{\mu} = 0.526 \cdot \sigma_{\pi};$$

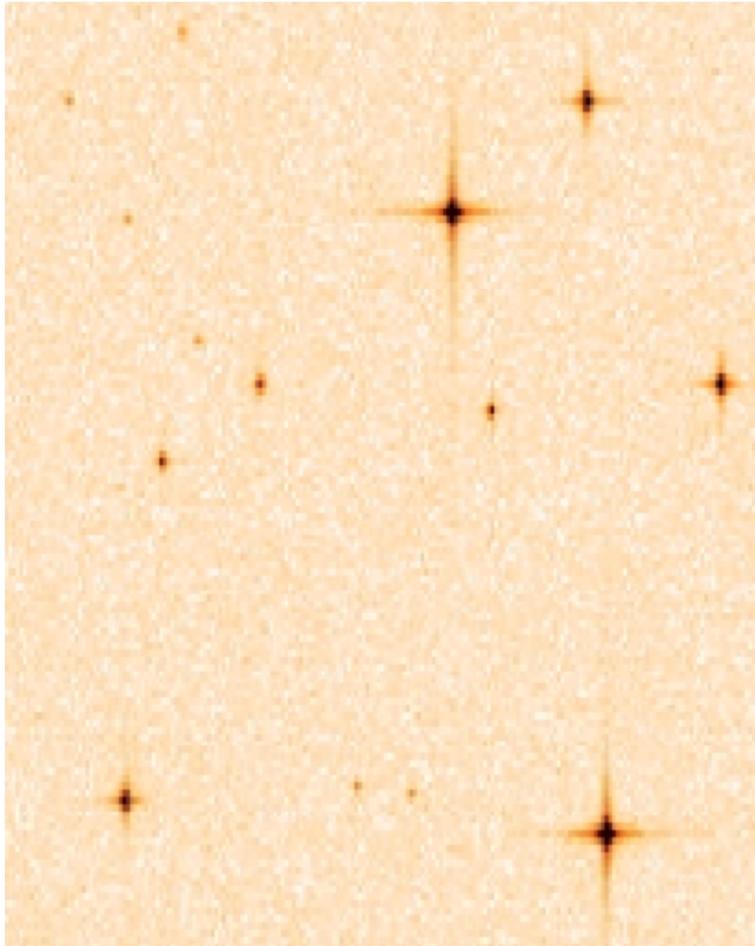
$$\sigma_{\mu\alpha^*} = 0.556 \cdot \sigma_{\pi};$$

$$\sigma_{\mu\delta} = 0.496 \cdot \sigma_{\pi};$$

The predicted errors vary over the sky...

# Gaia raw observations: $10^{12}$ stellar “images”

CCD pixel count read off a certain CCD at a certain moment of **time**



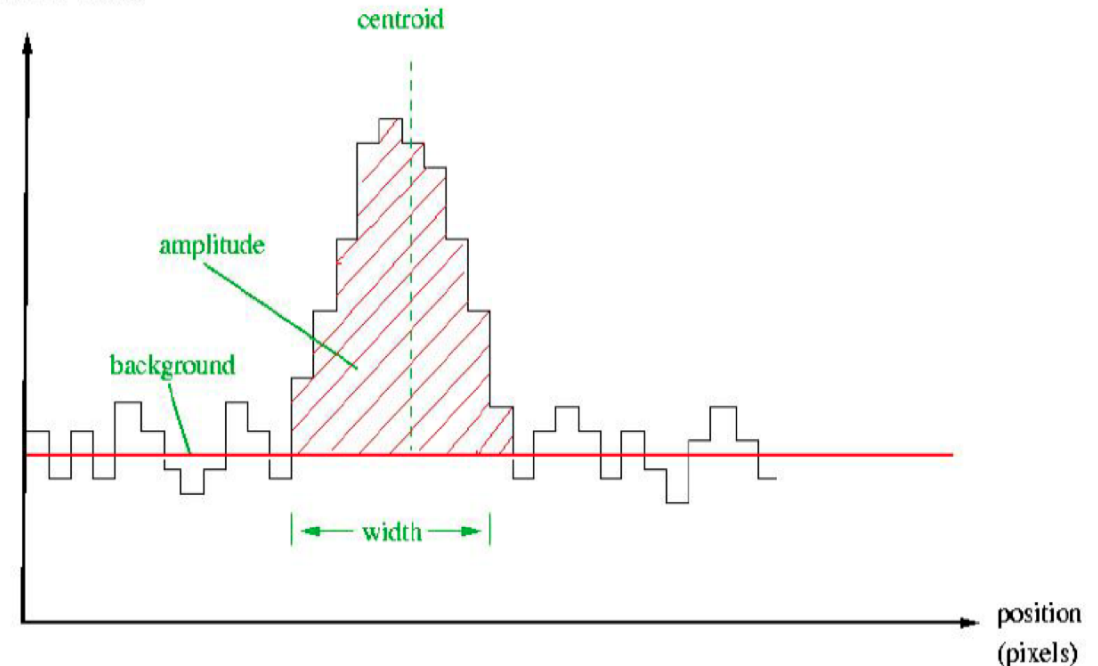
(binned) CCD pixels with time-tags for each pixel

Windows for each observed object

Centroiding accuracy: millipixels

CCD  
signal  
(ADC units)

from pixels to image parameters

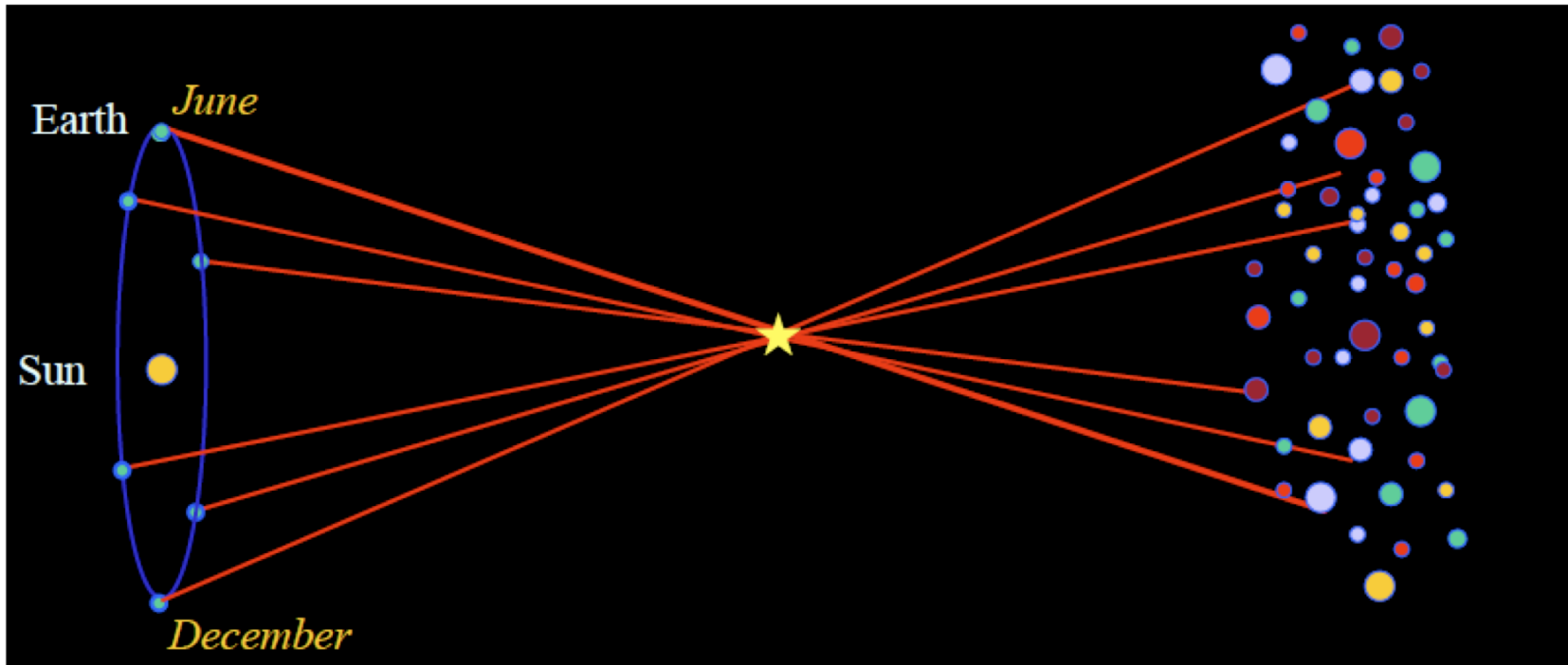


# Stellar parallaxes

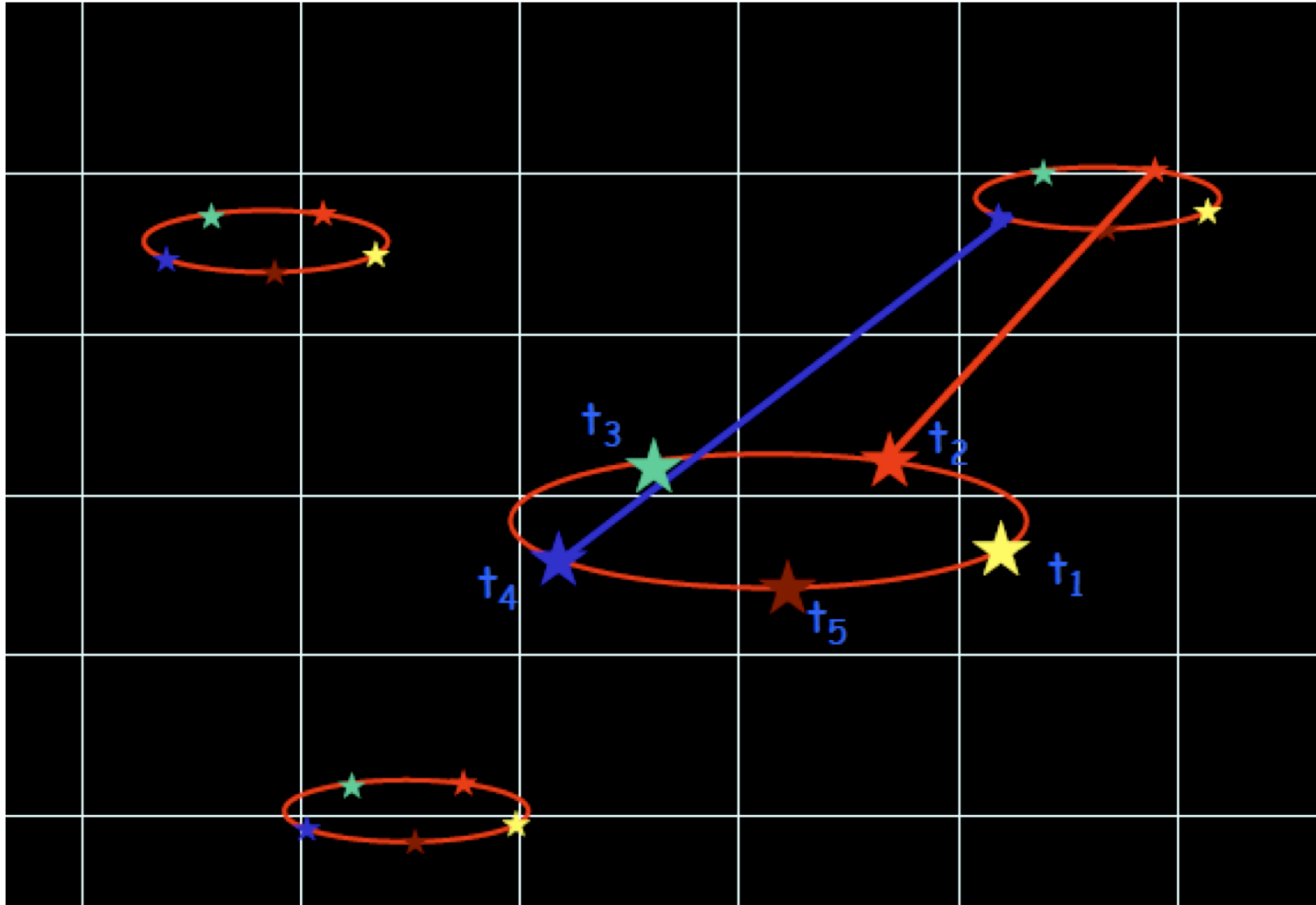
Earth's orbit

a closer star

very distant stars



# One field of view: relative parallaxes

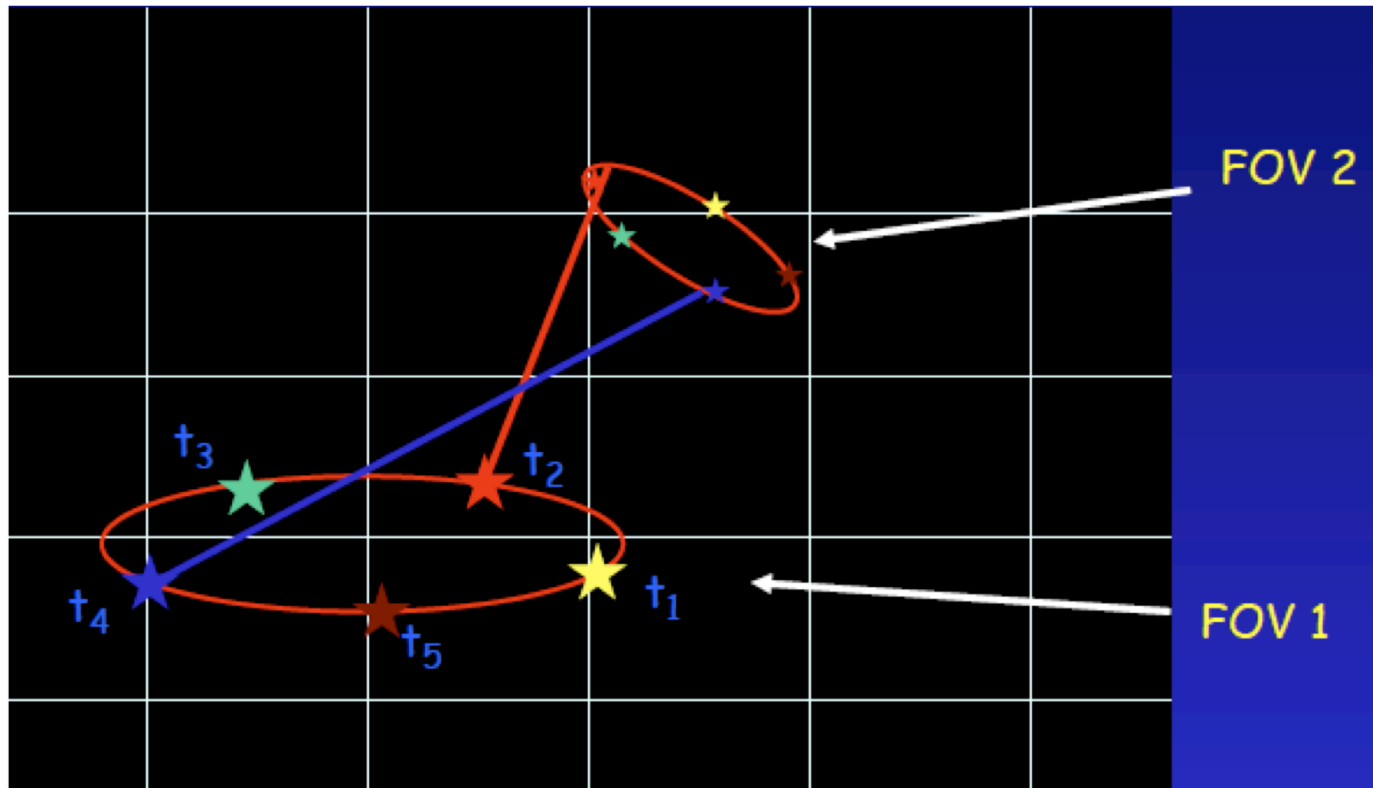


Measurable quantity:  $f(t) \times (\pi_2 - \pi_1) \Rightarrow \pi_2 - \pi_1$



# Two fields of view: absolute parallaxes

Pierre Lacroux, 1968:



Measurable quantity:  $f_2(t)\pi_2 - f_1(t)\pi_1 \Rightarrow \pi_2$  and  $\pi_1$

Implemented by ESA twice: Hipparcos (1989-1993), Gaia (2013-)