

# **Constraining the nuclear matter EoS** from the GW170817 merger event

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# Outline



EOS

 constraints from NS observations



Conclusion



# **Neutron stars**

# Structure of Neutron stars





# A large set of possible EoS (nucleons, hyperons, quark matter, etc....)



F. B. and A. Fantina, arXiv:1804.03020



# EOS

#### Neutron stars

#### <u>EOS</u>

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### The construction of the EoS :two possible philosophies

### Phenomenologícal approaches

Based on effective density-dependent NN force with parameters fitted on nuclei properties.

- Liquid Drop models
  - ♦ BPS Baym et al, ApJ 170, 299 (1971)
  - ♦ BBP Baym et al., NPA 175, 225 (1971)
  - ♦ LS Lattimer&Swesty, NPA 535, 331 (1991)
  - ♦ DH Douchin&Haensel, A&A 380, 151 (2001)
- TF + RMF
  - ♦ Shen et al., NPA 637, 435 (1998)
- Hartree-Fock
  - ♦ NV Negele&Vautherin, NPA 207, 298 (1973)
  - ♦ RMF Serot&Walecka, Adv. NP 16, 1 (1986)
  - ♦ RHF Boussy et al., PRL 55, 1731 (1985)
  - ♦ QMC Guichon et al., NPA 814, 66 (2008)
- Statistical models
  - ♦ NSE Raduta&Gulminelli. PRC 82, 065801 (2010)
  - HS Hempel&Schaffner-Bielich, NPA 837, 210 (2010)

### Ab initio approaches

The nuclear problem is solved starting from the two- and three-body realistic nucleon interaction.

#### Diagrammatic

- ♦ BBG Day, RMP39, 719 (1967)
- SCGF Kadanoff&Baym, Quantum Statistical Mechanics (1962)
- DBHF Ter Haar&Malfiet, Phys, Rep. 149, 207 (1987);
- Variational
  - ♦ APR Akmal et al., PRC 58, 1804 (1998)
  - FHNC Fantoni&Rosati, Nuovo Cimento A20, 179 (1974)
  - CBF Fabrocini&Fantoni, PLB 298, 263(1993)
  - ♦ LOCV Owen et al., NPA 277, 45 (1978)

#### Monte Carlo

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- VMC Wiringa, PRC43, 1585 (1991)
- ♦ GFMC Carlson, PRC68, 025802 (2003)
- AFDMC Schmidt&Fantoni, PLB446, 99 (1999)
- Renormalization Group method
  - ♦ V<sub>low-k</sub> Bogner et al., PR 286, 1 (2003)



# GW170817/AT2017gfo

**GW170817** Abbott et al., PRL 119, 161101 (2017)

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> chirp mass : Mc = 1.188M⊙
 – mass ratio : m2/m1 = 0.7-1.0
 primary mass m1 = 1.36-1.6M⊙
 secondary mass m2 = 1.17-1.36M⊙

> tidal deformability :  $\Lambda_{1.4} < 800$ 

effective tidal deformability

$$\tilde{\Lambda} = \frac{16}{13} \frac{(M_1 + 12 M_2) M_1^4}{(M_1 + M_2)^5} \Lambda_1 + (1 \leftrightarrow 2) \lesssim 800$$

arXiv:1805.11579:  $70 < \tilde{\Lambda} < 720$ 



# GW170817/AT2017gfo

# AT2017gfo

Neutron stars

EOS

Constraints from NS observations al., ÁpJ 848, L17 (2017) E. Pian et al., Nature 551, 67 (2017) Radice et al., ApJ 852, L29 (2018)

Couperthwaite et



Results

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### **Constraints from GW170817:** the kilonova signal AT2017gfo

$$\tilde{\Lambda} = \frac{16}{13} \frac{(M_1 + 12 M_2) M_1^4}{(M_1 + M_2)^5} \Lambda_1 + (1 \leftrightarrow 2) \sum_{\lambda} \tilde{\Lambda} > 400$$



# Formalism

Tidal deformability

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$$h = 2\beta \ y \sin 2$$

$$b = M/R \text{ being the compactness}$$

$$\frac{dy}{dr} = -\frac{y^2}{r} - \frac{y-6}{r-2Gm/c^2} - rQ,$$

$$Q = \frac{4\pi G}{c^4} \frac{(5-y)\epsilon + (9+y)p + (\epsilon+p)/c_s^2}{1-2Gm/c^2r} - \left[\frac{2G(m+4\pi pr^3/c^2)}{r(rc^2-2Gm)}\right]^2,$$

$$k_2 = \frac{8}{5}\beta^5(1-2\beta)^2 [2-y_R+2\beta(y_R-1)]/\mathcal{R}$$

$$\mathcal{R} = 6\beta(2-y_R+\beta(5y_R-8)) + 4\beta^3 [13-11y_R+\beta(3y_R-2)+2\beta^2(1+y_R)]$$

 $\Lambda = 2R^{5}/2k$ 

+ 
$$3(1-2\beta)^2 [2-y_R+2\beta(y_R-1)] \ln(1-2\beta),$$

Boundary condition:

$$(p,m,\omega,y)(r=0) = (p_c,0,0,2) \quad \omega_R = \omega(R), y_R = y(R).$$

The tidal deformability depends on the compactness, hence on the EOS



### **R-M relation**



- Microscopic non-relativistic EoS : BHF with Bonn B, V18, N93, UIX
- Variational : APR
- Microscopic relativistic EoS : DBHF
- Microscopic EoS with hyperons: BOB(N+Y), V18(N+Y)
- Phenomenological EoS : LS220, SFHO
- All give maximum masses above 2M<sub>☉</sub> except the ones with hyperons.

 $12 \,\mathrm{km} \lesssim R_{1.5} \lesssim 13 \,\mathrm{km}$ 



# Are small radii ruled out by GW170817/AT2017gfo?



Thermonuclear bursts

Analysis of 5 QLMXBs

If small-radius NS exist, how do they fulfill the constraint of GW170817/AT2017gfo?



# **Binary system**





# **Binary system**

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One-family scenario :  $\widetilde{\Lambda}$  almost independent on q

Two-families and twinstars scenario : non negligible dependence on q

Twin-stars : large difference in the radii of the two components  $(R_1, R_2) = (10.7, 13.0)$  km



![](_page_12_Picture_0.jpeg)

# **Correlations between** Λ and R<sub>1.5</sub>

![](_page_12_Figure_2.jpeg)

One-family-scenario : monotonic correlation between R1.5 and  $\tilde{\Lambda}$ . All EoS with  $\tilde{\Lambda}$ >400 have R1.5>11.8 km, except APR and SFHO.

Two-families and twin-stars scenarios : R1.5 < 11.8 km are possible with  $\tilde{\Lambda}$  >400.

GW170817 has to be interpreted as a "mixed case" : one of the objects is made only of hadrons and the other contains

deconfined quarks.

![](_page_13_Picture_0.jpeg)

# Conclusion

### GW170817 event has added more constraints.

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**Conclusion** 

- GW170817 in the one-family scenario is compatible with the merging of two nucleonic neutron stars w ith a microscopic EoS, M>2M<sub>0</sub> and 12<R<13 km.</li>
- The lower limit on the tidal deformability is compatible with radii of compact stars smaller than 12 km, <u>if one</u> assumes a population of compact stars not made by <u>one-family only.</u>

![](_page_14_Picture_0.jpeg)

### Conclusion

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# Thank you!