

Memory-triggered supernova neutrino detection

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June 08, 2022**

Based on

The neutrino gravitational memory from a core collapse supernova: phenomenology and physics potential

MM, C. Cardona, C. Lunardini

JCAP 07 (2021) 055 (arXiv: 2105.05862).

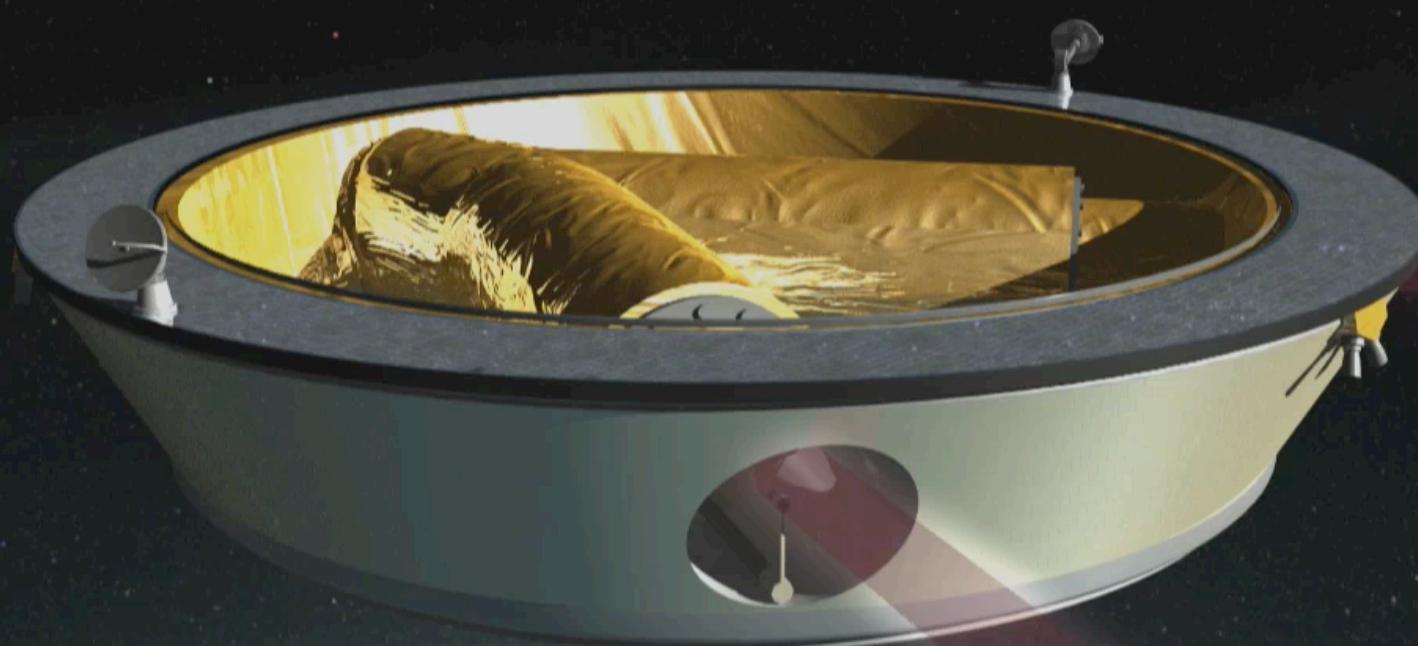
Memory-triggered supernova neutrino detection

MM, Z. Lin, C. Lunardini

Submitted to PRL (arXiv: 2110.14657)

What is Gravitational Wave (GW) memory?

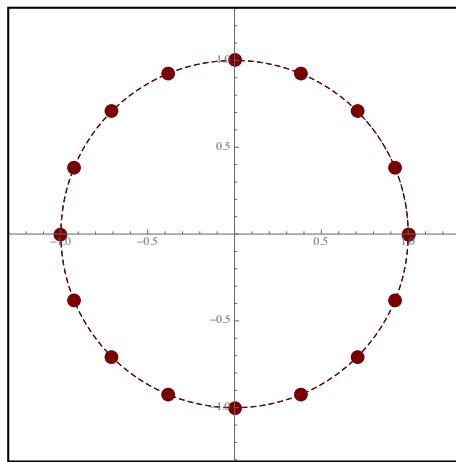
The Laser Interferometer Space Antenna
(LISA)



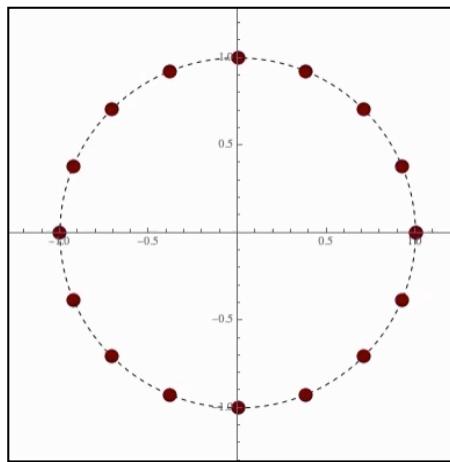
Animation Credits: Chris
Meaney and NASA

What is Gravitational Wave (GW) memory?

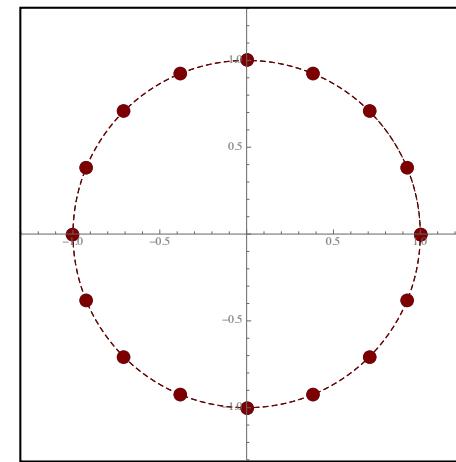
Before Passage of GW



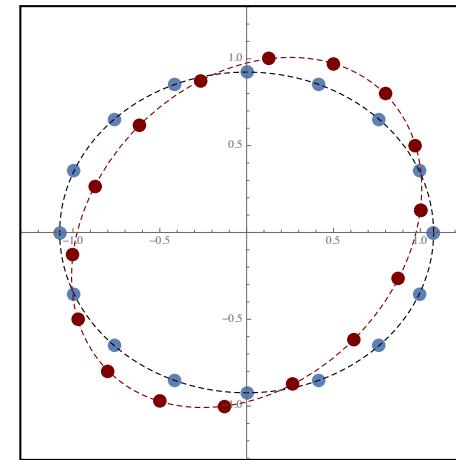
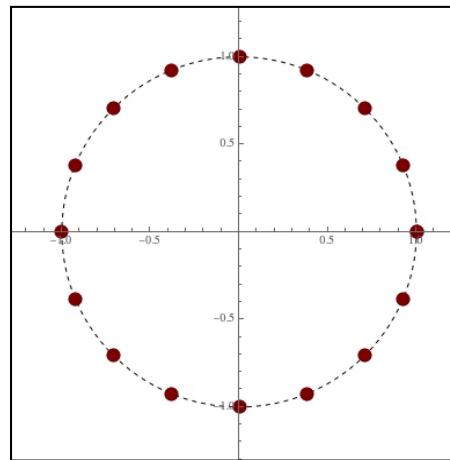
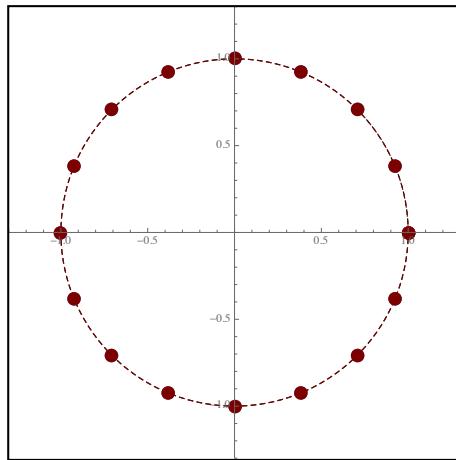
GW passing through a detector say LISA



After the GW has passed



Without
memory



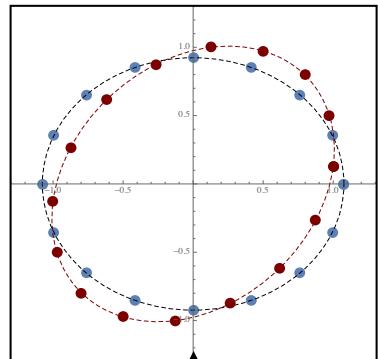
With memory

- : '+' Polarization
- : 'x' Polarization

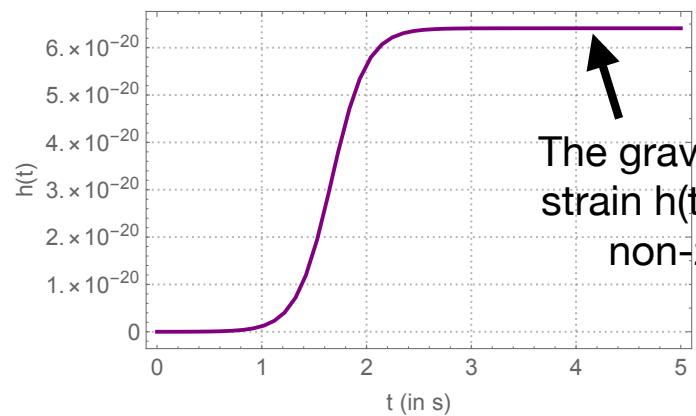
GW is propagating perpendicular to the screen

Animation Credits: Joel Frederico

What is Gravitational Wave (GW) memory?



Permanent distortion of
the local space-time
metric



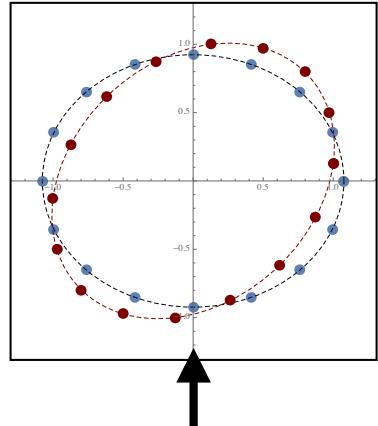
The gravitational wave
strain $h(t)$ remains at a
non-zero value

Causes:

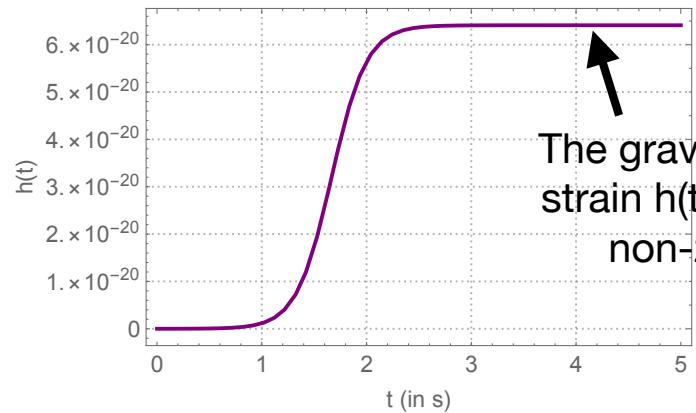
Gravitationally unbound
systems:
Anisotropic emission of
energy (mass/radiation)

M. Favata, *The gravitational-wave memory effect*, Class. Quant. Grav. 27 (2010) 084036

What is Gravitational Wave (GW) memory?



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Causes:

Gravitationally unbound systems:
Anisotropic emission of energy (mass/radiation)

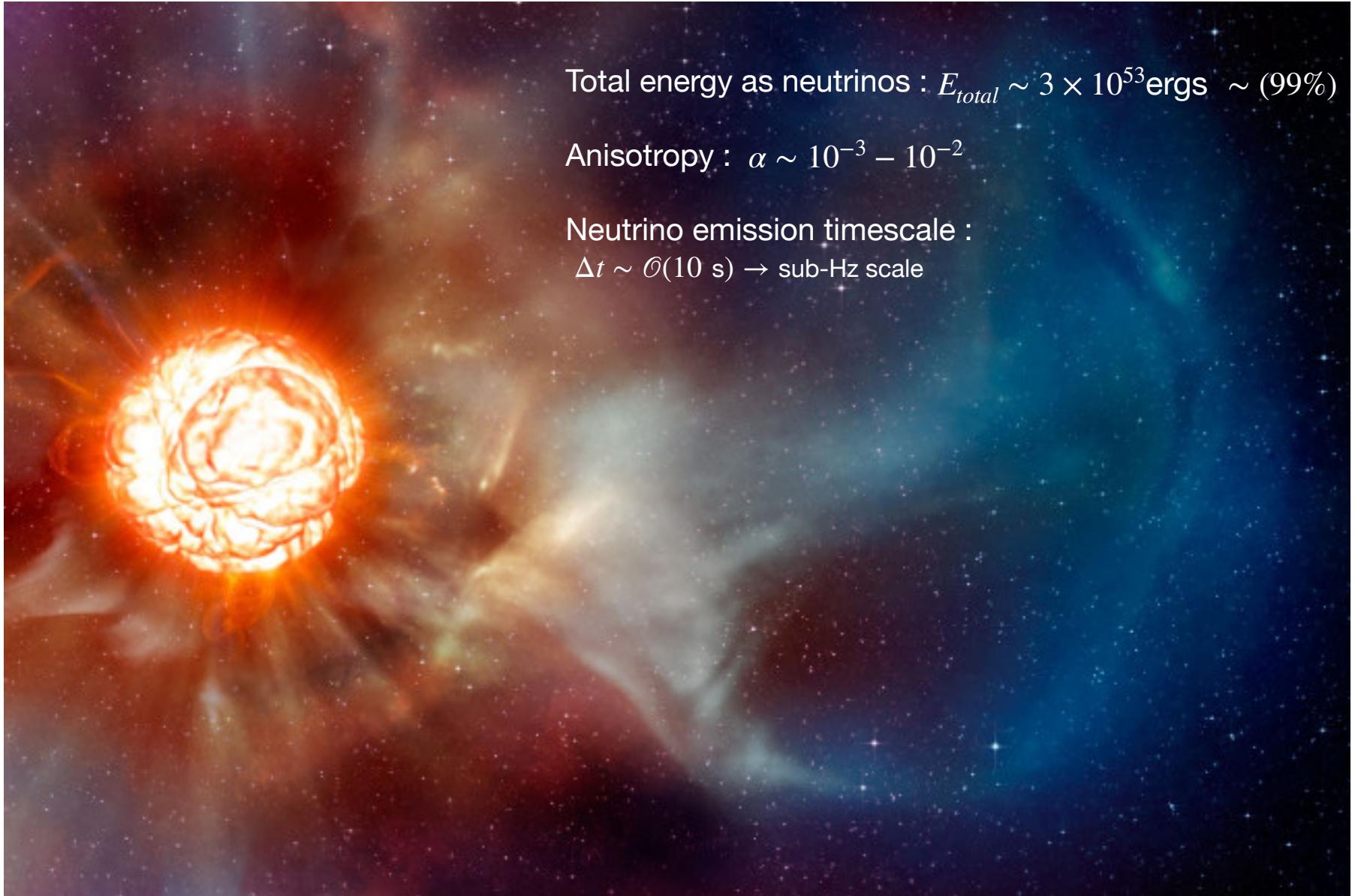
The GW memory has never been observed!

Need:

- a) A very powerful emitter
- b) Anisotropy
- c) Detectors in the frequency regimes of interest

M. Favata, *The gravitational-wave memory effect*, Class. Quant. Grav. 27 (2010) 084036

An Ideal Candidate: Core-collapse Supernova (CCSN)



Total energy as neutrinos : $E_{total} \sim 3 \times 10^{53}$ ergs $\sim (99\%)$

Anisotropy : $\alpha \sim 10^{-3} - 10^{-2}$

Neutrino emission timescale :
 $\Delta t \sim \mathcal{O}(10 \text{ s}) \rightarrow \text{sub-Hz scale}$

Credits: European Southern Observatory, L. Calçada

Phenomenological Model: Formalism

Begin with Einstein's field equation:

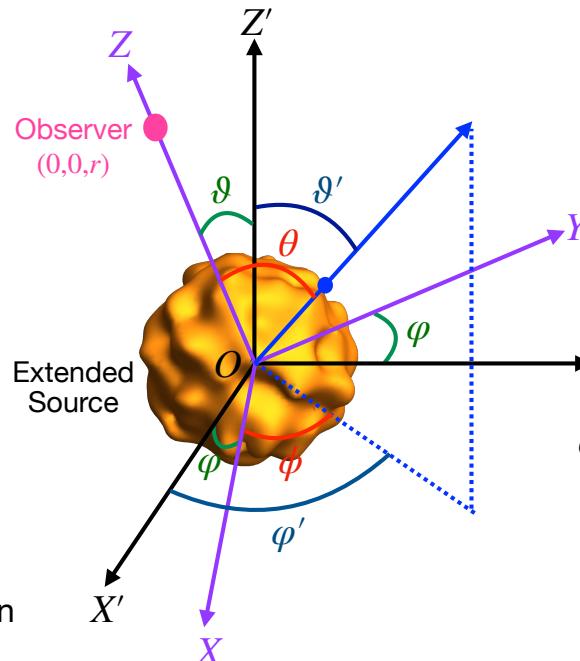
$$R_{\mu\nu} - \frac{1}{2}Rg_{\mu\nu} = -8\pi GT_{\mu\nu}$$

Invoke weak field approximation
(since we are very far away from
the source $r \rightarrow \infty$)

$$g_{\mu\nu} = \eta_{\mu\nu} + h_{\mu\nu}$$

Small perturbation

Black Box....
(Calculations in progress)



$$\alpha(t) = \frac{1}{L_\nu(t)} \int_{4\pi} d\Omega' \Psi(\vartheta', \varphi') \frac{dL_\nu(\Omega', t)}{d\Omega'}$$

Angular dependence put
together in anisotropy
parameter

$$h_{TT}^{xx} = h(t) = \frac{2G}{rc^4} \int_{-\infty}^{t-r/c} dt' L_\nu(t') \alpha(t')$$

Change of separation for two free-falling masses

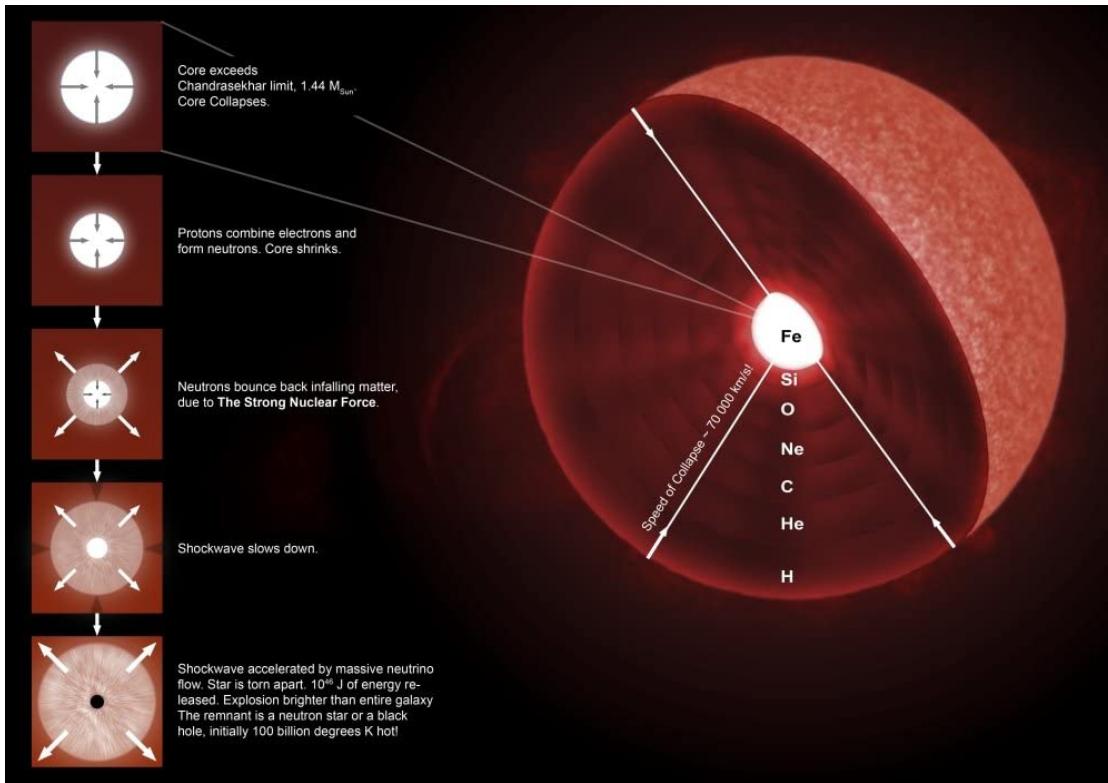
$$\delta l_j = \frac{1}{2} h_{jk}^{TT} l^k$$

*Epstein, Astrophys. J. 223 (1978) 565
E. Mueller and H.T. Janka, AAP 317 (1997) 140*

Supernova (SN) neutrinos - Review

Also see: Prof. Alex Friedland's talk

CCSN: death of a massive ($>10 M_{\text{sun}}$) star



Red or Blue supergiants: advanced stages of nuclear burning

Fe core: Fusion turns off: loss of pressure

Core collapses

Collapsed core: very dense (nuclear densities): Incompressible

Infalling matter bounces off: Shockwave produced

Shockwave re-energized

Shockwave stalls

Shockwave dies down

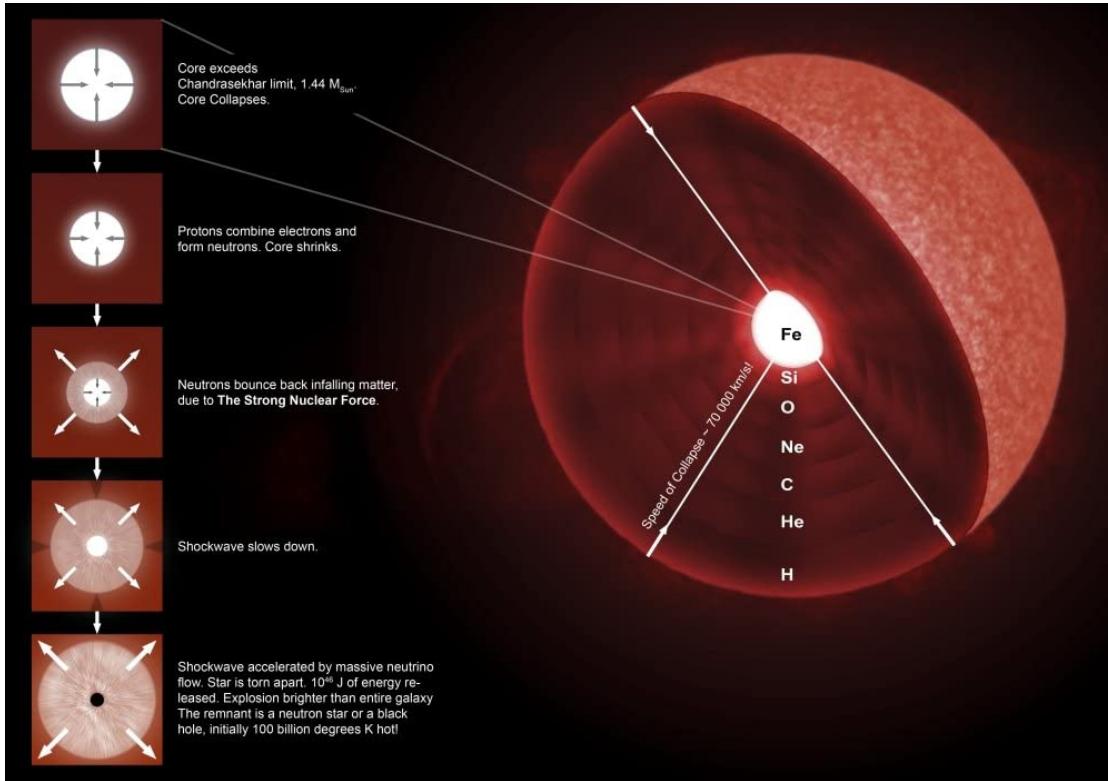
Star explodes: Supernova
Neutron star forming collapse (NSFC)

Failed Supernova
Black hole forming collapse (BHFC)

Credits: https://images-na.ssl-images-amazon.com/images/I/61yf26rpIXL._AC_SL1000_.jpg

Supernova (SN) neutrinos - Review

CCSN: death of a massive ($>10 M_{\text{sun}}$) star



Neutrinos emitted right after the collapse:
collapsed core cools

Shockwave stalled:
accelerated by neutrinos

Red or Blue supergiants: advanced stages of nuclear burning

Fe core: Fusion turns off: loss of pressure

Core collapses

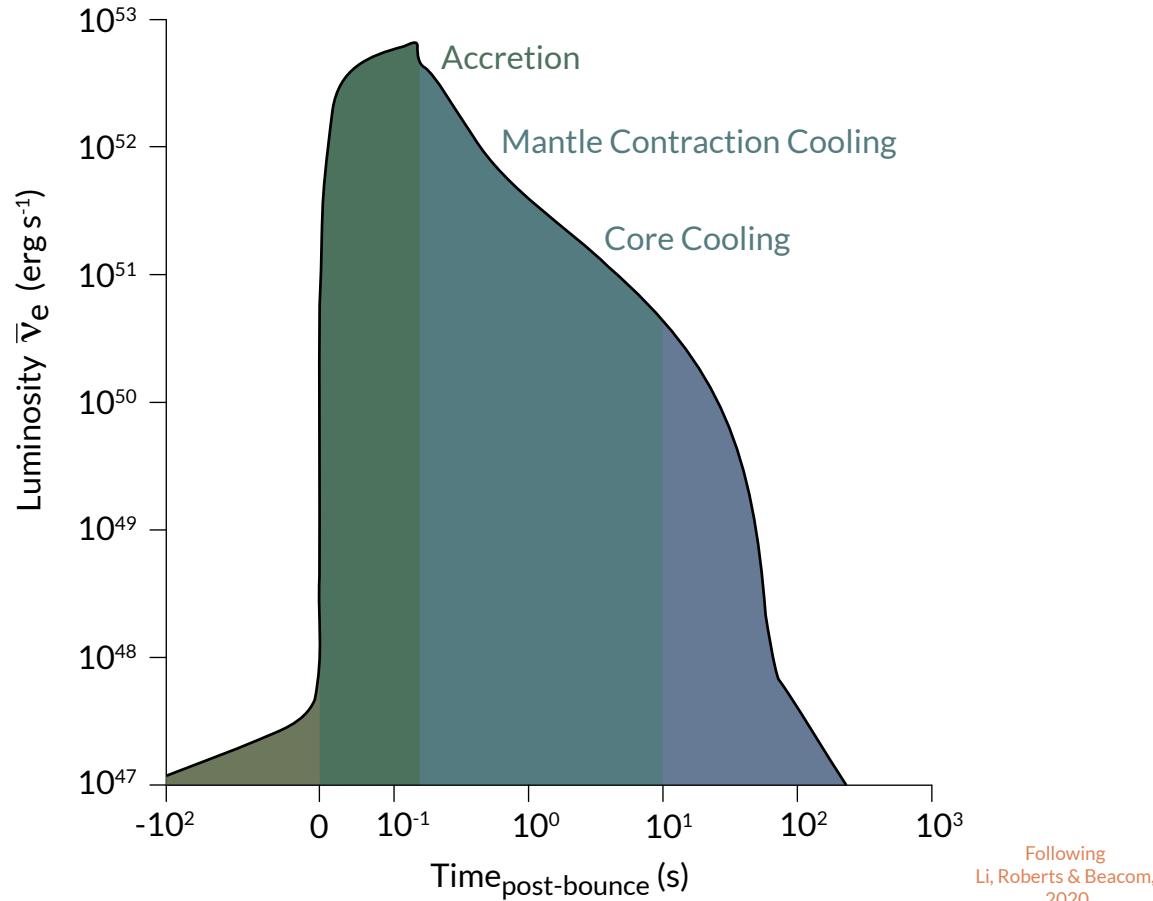
Collapsed core: very dense (nuclear densities):
Incompressible

Infalling matter bounces off:
Shockwave produced

Star explodes: Supernova

Giunti and Kim. *Fundamentals of Neutrino Physics and Astrophysics* (2007)
Janka, Langanke, Marek and Martinez-Pinedo, et.al. *Phys. Rept.*, 442:38–74, (2007)

SN neutrino emission phases

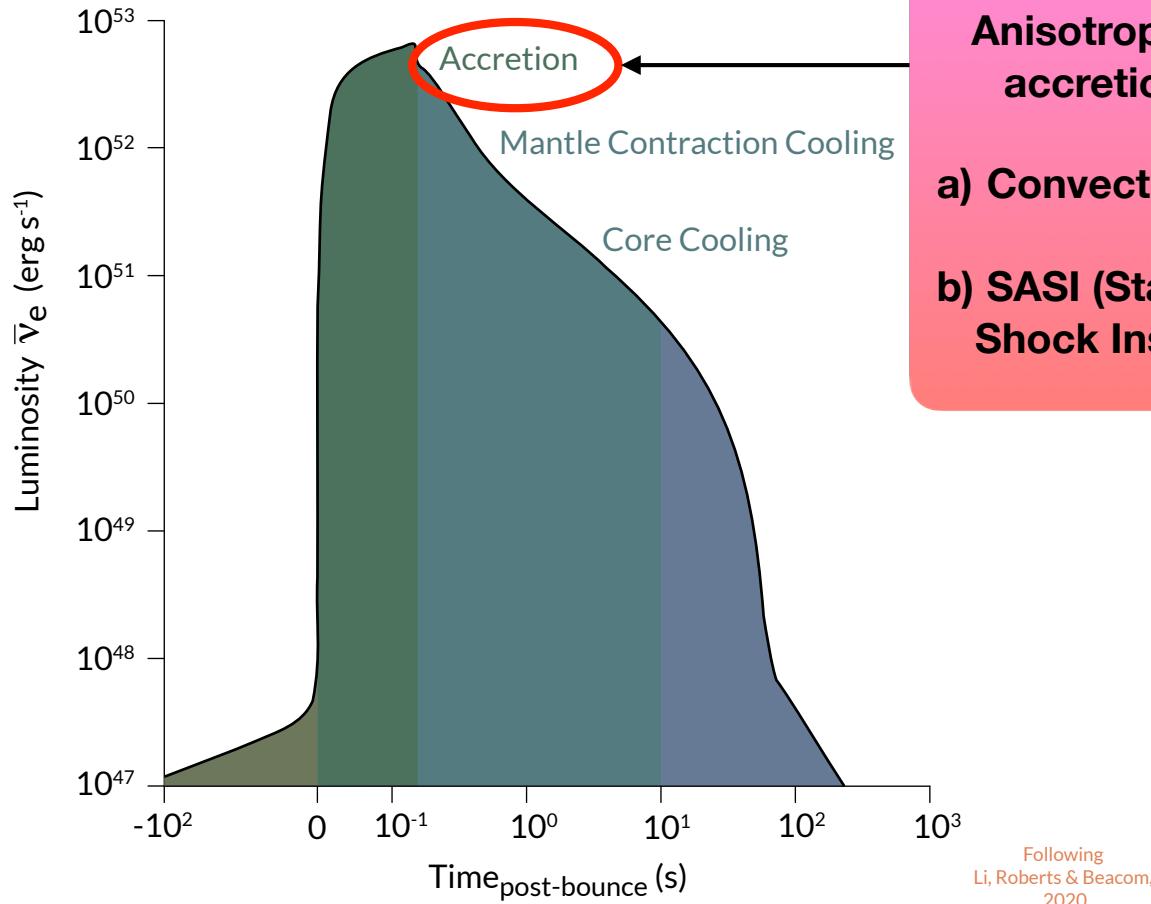


Following
Li, Roberts & Beacom,
2020

Neutrino burst: $\sim \mathcal{O}(10)$ s
Accretion phase: $t \sim 0.003 - 0.5$ s
Cooling phase: $t \sim 0.5 - 10$ s

Graphics by: Frank Timmes

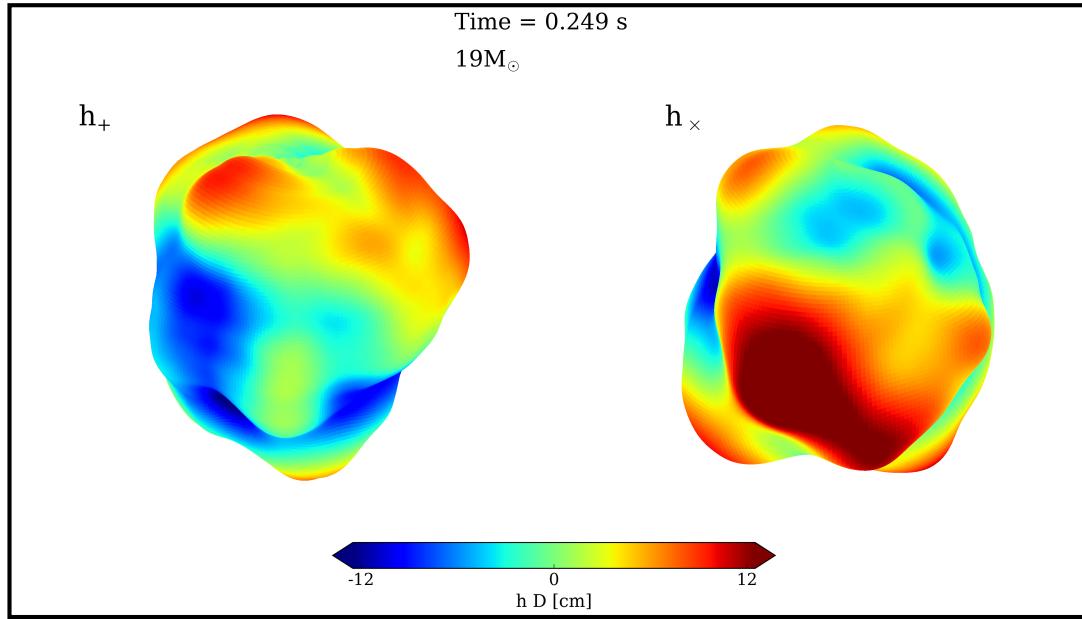
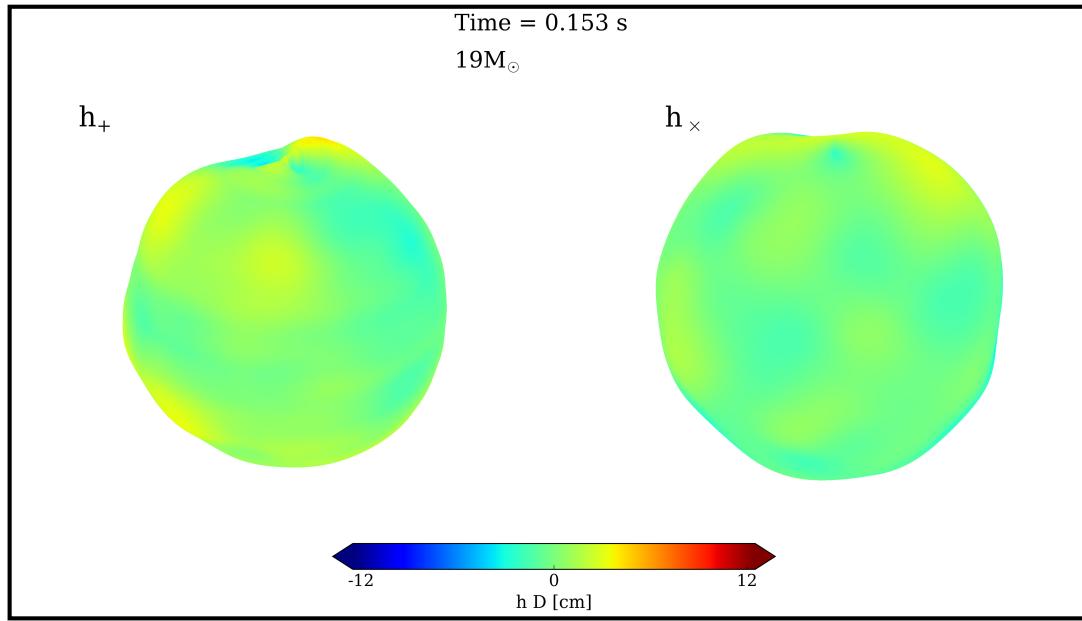
Anisotropy Parameter



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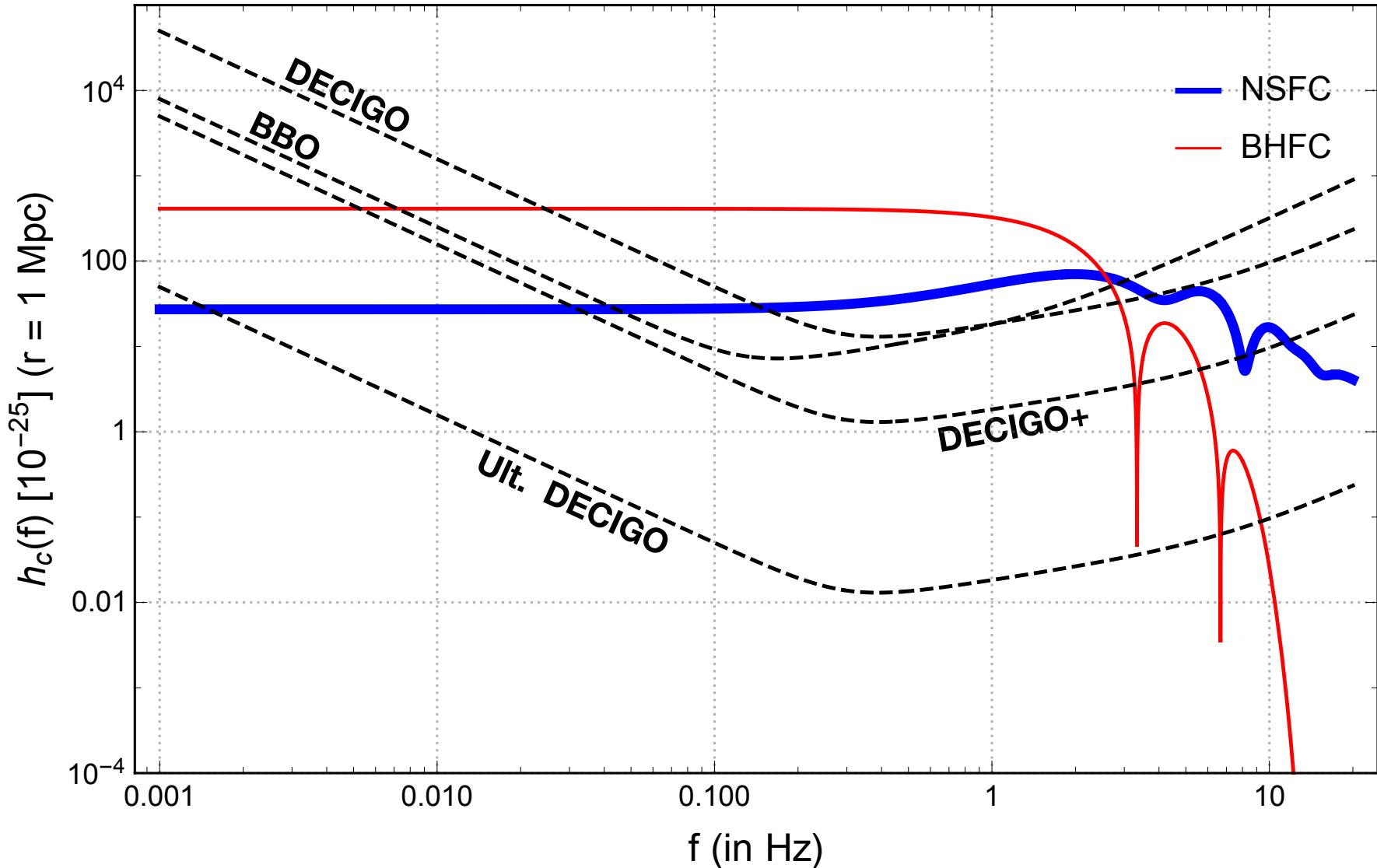
Anisotropy Parameter



Vartanyan and Burrows,
Astrophys. J. 901 (2020) 108.

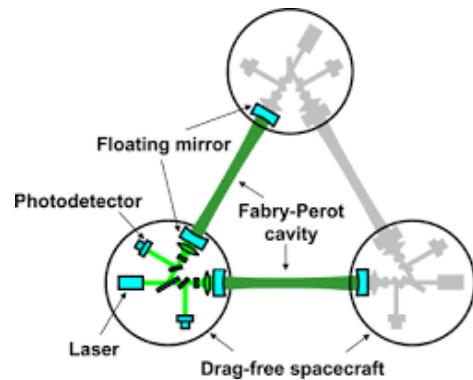
Characteristic strain ($r = 1$ Mpc)

Will be detectable up to $\mathcal{O}(1)$ Mpc – $\mathcal{O}(10)$ Mpc

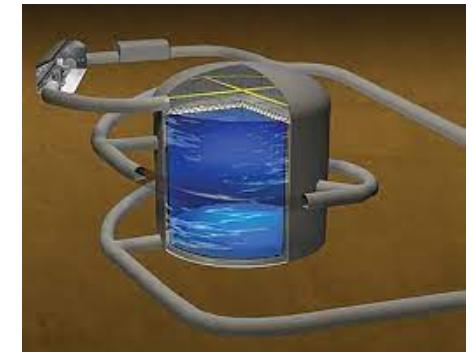


The idea

DECIGO



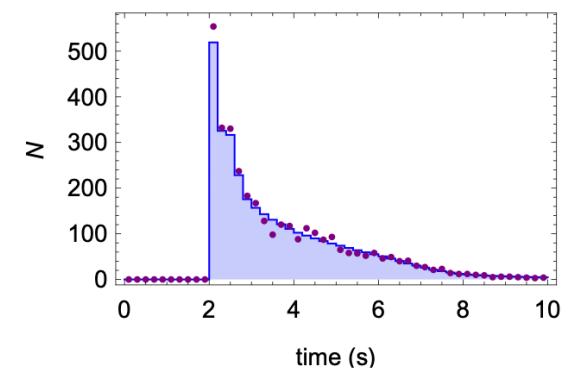
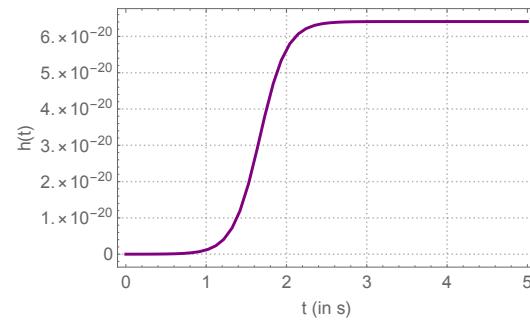
HyperK



**Neutrino GW
Memory
in the GW detector**



**Neutrinos in the
neutrino
detector**



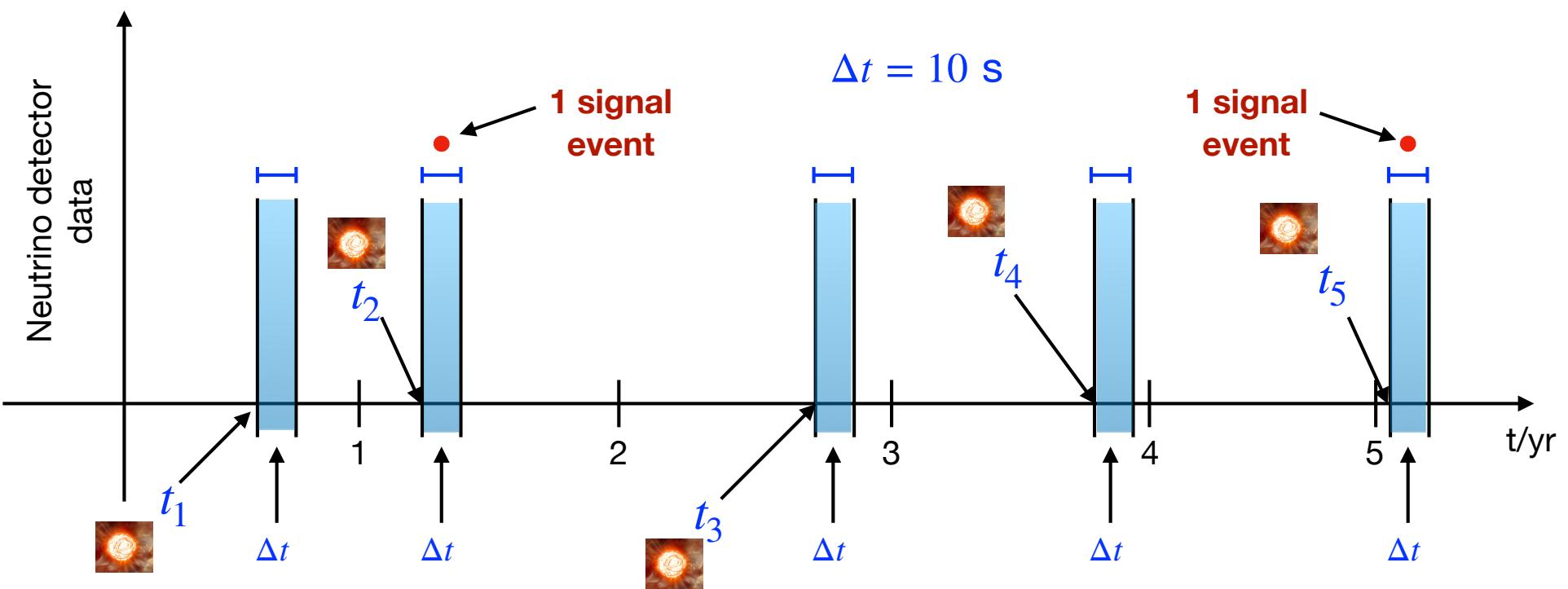
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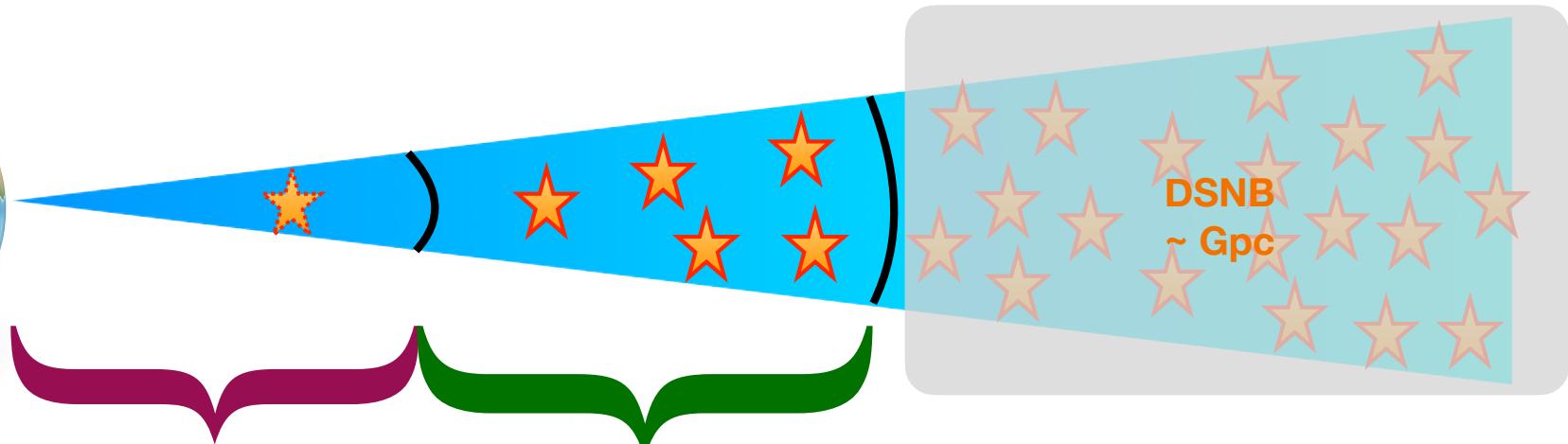


Motivation for memory-triggered search

Neutrino events

High statistics

Low statistics



CCSN rate

~ 0.01/yr

~ 1/yr

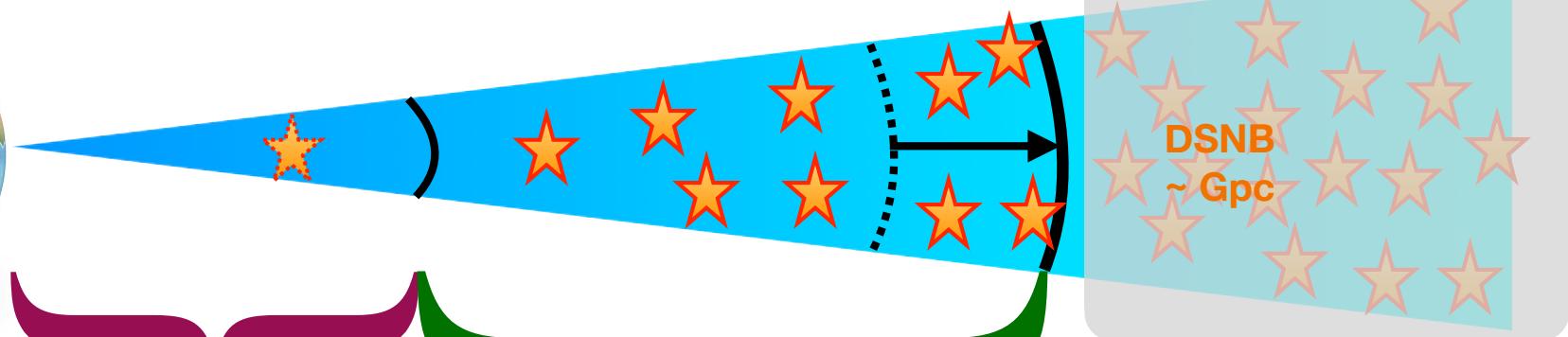
Fig. Motivation: John Beacom, TAUP, Munich, Germany, Sept 2011

Motivation for memory-triggered search

Neutrino events

High statistics

Low statistics



$\sim \text{kpc}$

$\sim \mathcal{O}(10) - \mathcal{O}(100) \text{ Mpc}$

CCSN rate

$\sim 0.01/\text{yr}$

$\sim 1/\text{yr}$

$\sim \mathcal{O}(10) - \mathcal{O}(100)$ neutrinos/Mt/decade

Fig. Motivation: John Beacom, TAUP, Munich, Germany, Sept 2011

Motivations for triggered-searches

WHY?

Deliver a local sample of neutrino events from CCSNe:
Population averaged energy, luminosity

Comparison with DSNB (diffuse supernova neutrino background) or Galactic CCSNe

Understanding SN populations including NSFC and BHFC
and much more....



Motivations for triggered-searches

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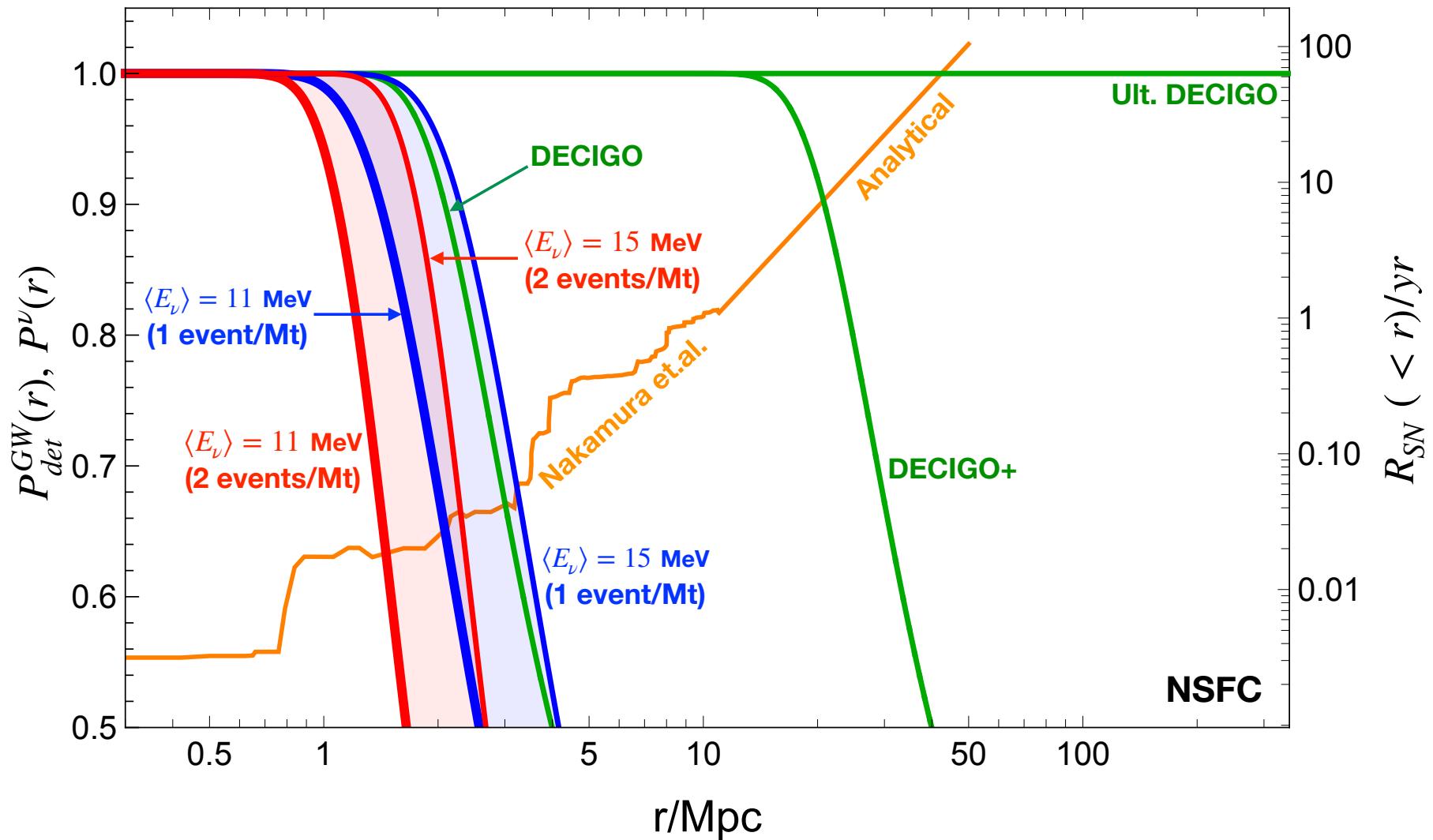


CHALLENGES:

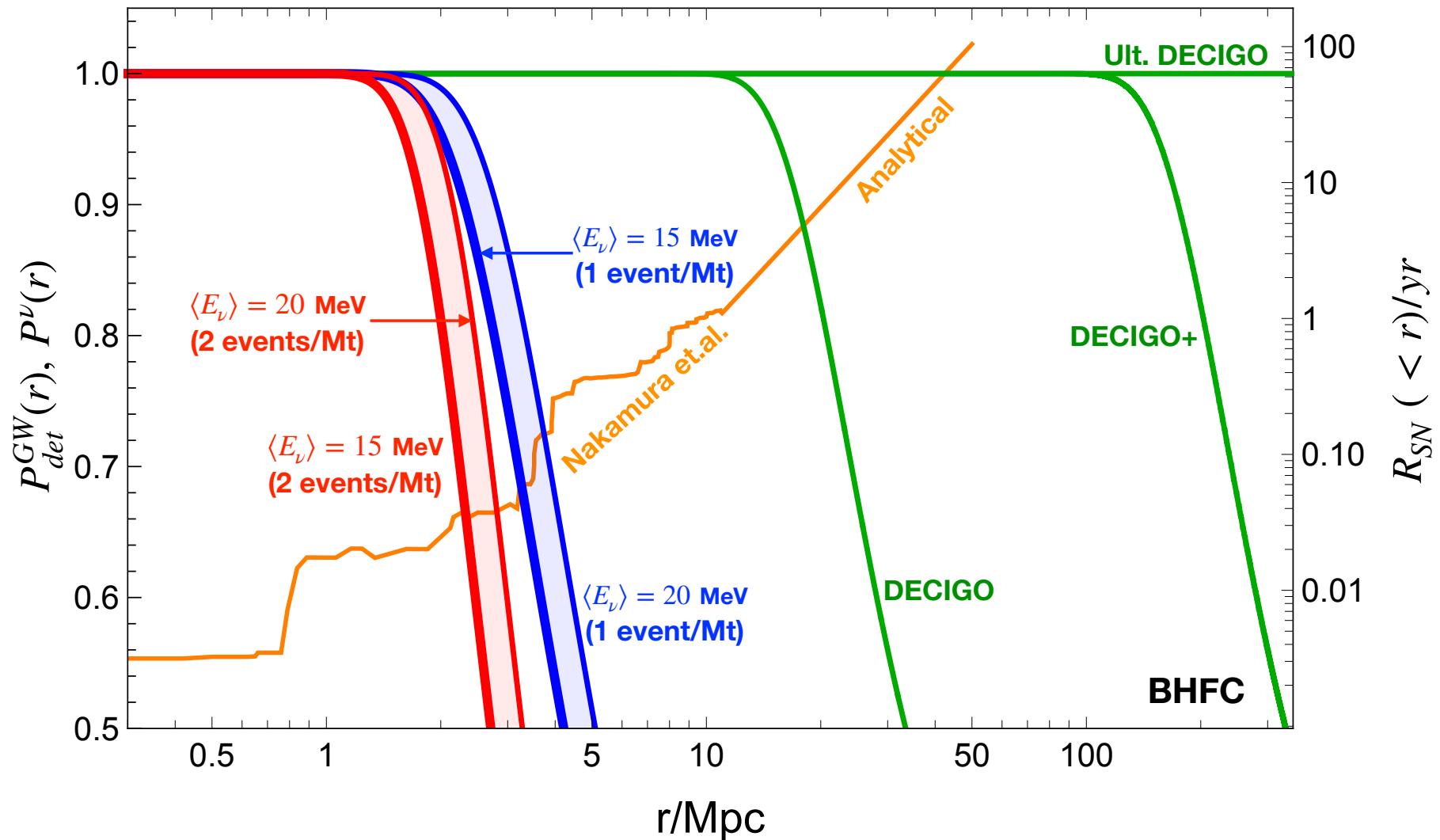
CCSNe in immediate neighborhood are extremely rare

Limited distance ~ 1-3 Mpc to have significant statistics

Detection probabilities and CCSN rates



Detection probabilities and CCSN rates



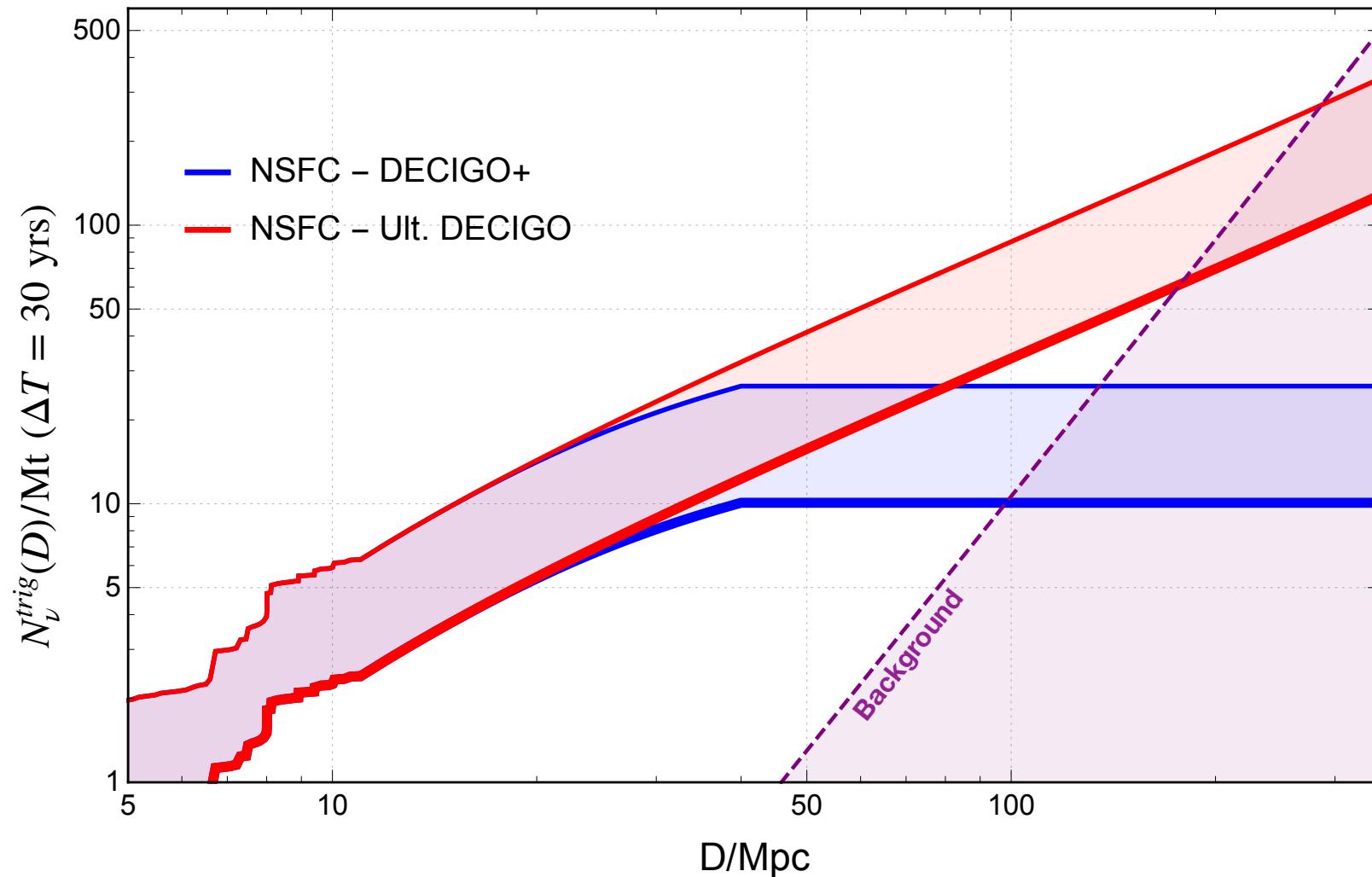
Recipe in brief

$$N_{\nu}^{trig}(D) = \Delta T \sum_{j, r_j < D} R_j N(r_j) P_{det}^{GW}(r_j)$$

Diagram illustrating the components of the equation:

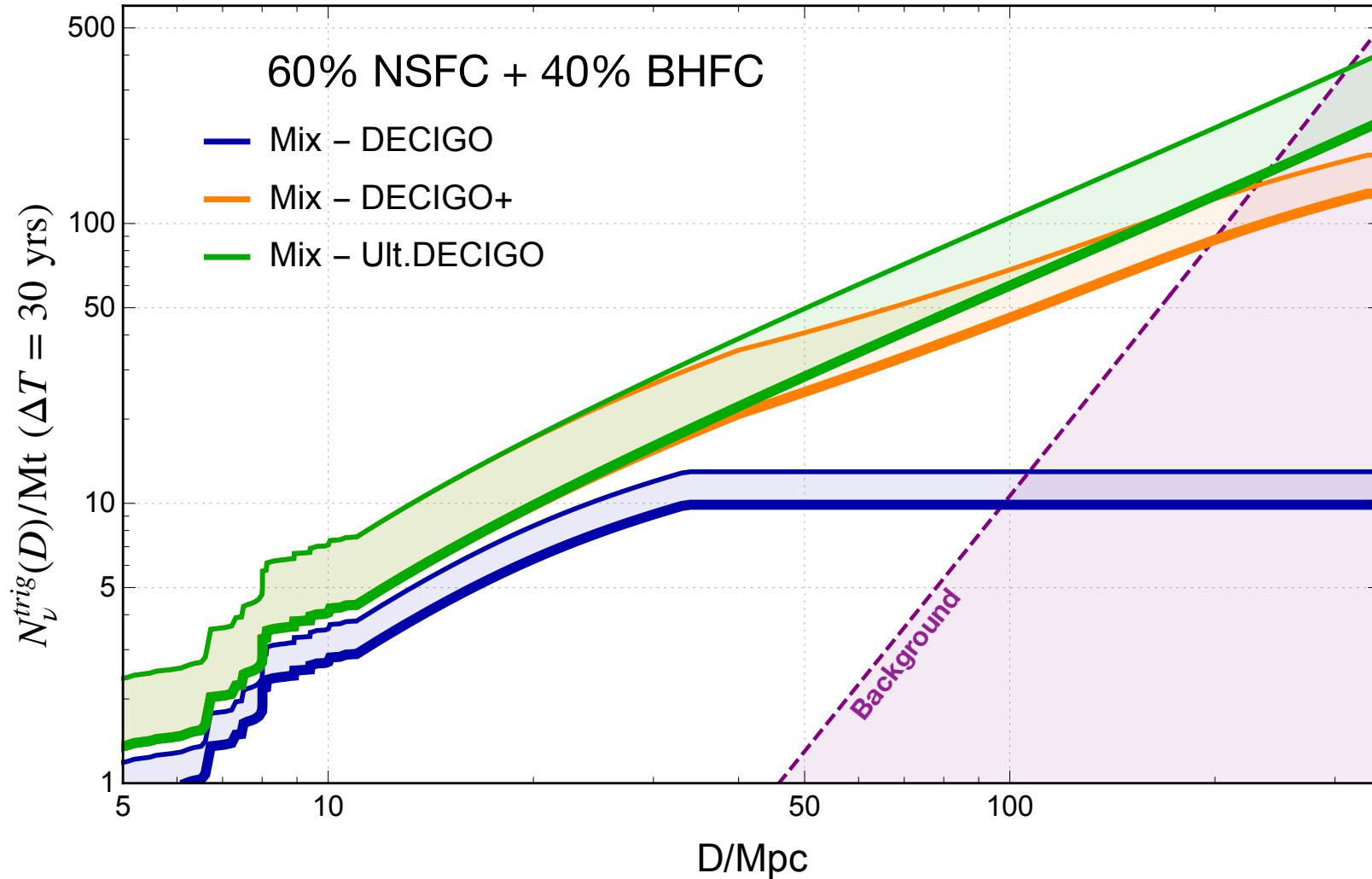
- Detector running time**: ΔT
- CCSN rate in the galaxy j** : R_j
- Predicted number of neutrino events in detector from a CCSN in the galaxy j** : $N(r_j) P_{det}^{GW}(r_j)$
- Total number of memory-triggered neutrino events from all CCSNe within a distance D** : $N_{\nu}^{trig}(D)$
- Index of the galaxy, $j=1,2,\dots$** : j
- Distance to the galaxy j** : r_j
- Probability of detecting the memory from a CCSN in the galaxy j** : $P_{det}^{GW}(r_j)$

Results: Events and background - NSFC



Untriggered backgrounds would be orders of magnitude higher!

Results: Events and background - Mix

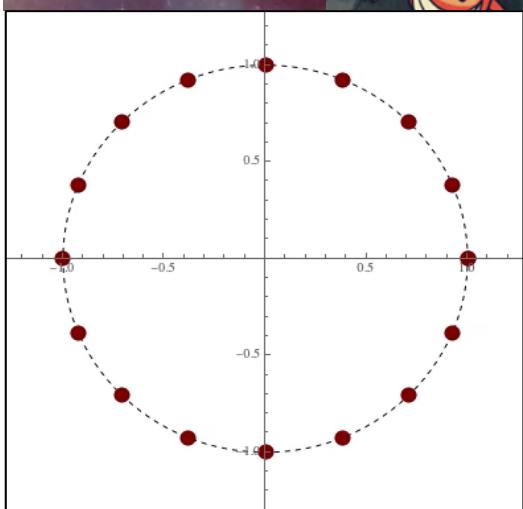
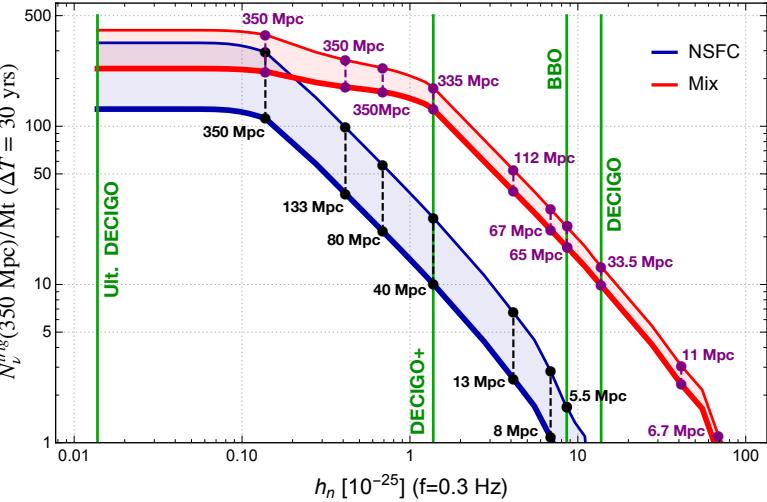


Untriggered backgrounds would be orders of magnitude higher!

Takeaways

A new multi messenger approach to CCSNe: neutrino GW memory enables time-triggered search of supernova neutrinos.

- Could be realized in a few decades: upcoming deci-Hz GW interferometers and megaton scale neutrino detectors.
- Will help in performing various statistical studies on the clean sample of neutrinos collected, giving further insights and information about SN neutrinos, NSFC, BHFC, etc. in the local Universe.
- For example, DECIGO+ will allow robust time triggers for supernovae at distances $D \sim 40 - 300$ Mpc, resulting in a nearly background-free sample of $\sim 3 - 70$ neutrino events per Mt per decade of operation.



Thank You!

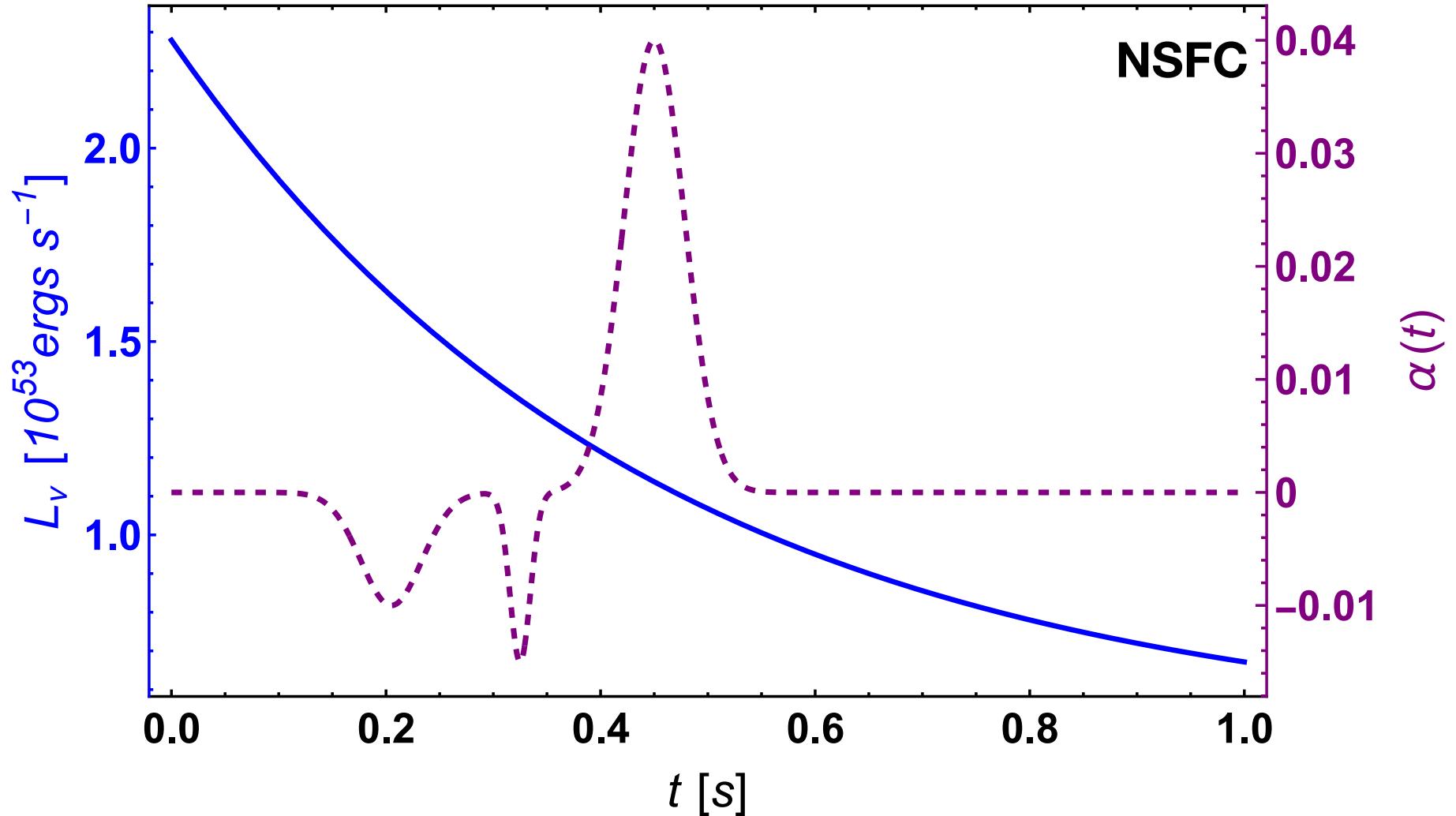
Team Neutrino reporting from a core- collapse supernova!

Backup

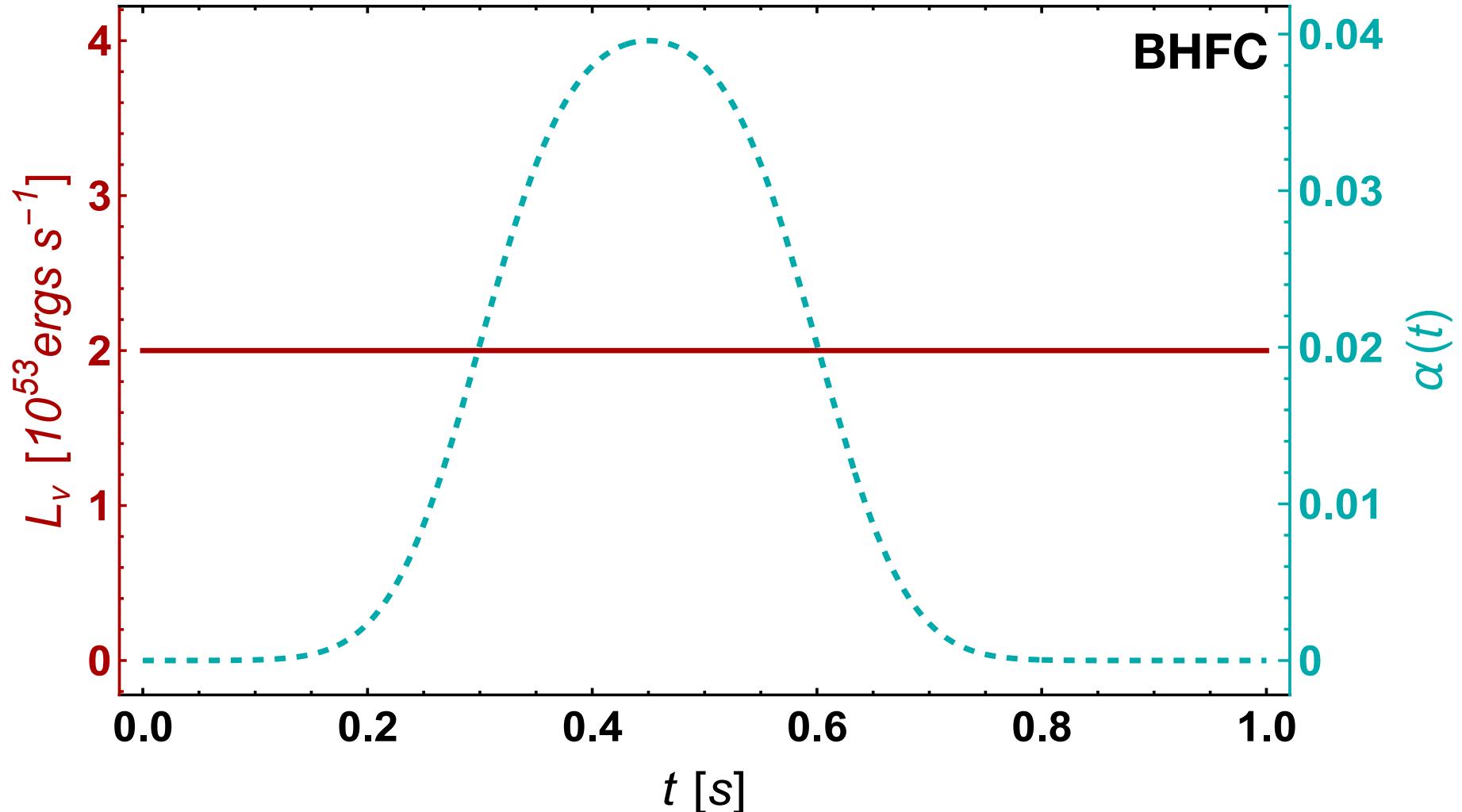
Neutrino flux parameters

| Model | Energy ($\times 10^{53}$ ergs) | $\bar{\nu}_e$ | β | $\langle E_\nu \rangle$ (In MeV) | | |
|-------|------------------------------------|---------------|---------|-------------------------------------|-------|-------|
| | | | | Ac. Ph. | Lower | Upper |
| NSFC | 1.2 | 0.5 | 3 | | 11 | 15 |
| BHFC | 2 | 0.45 | 2 | 15 | 20 | |

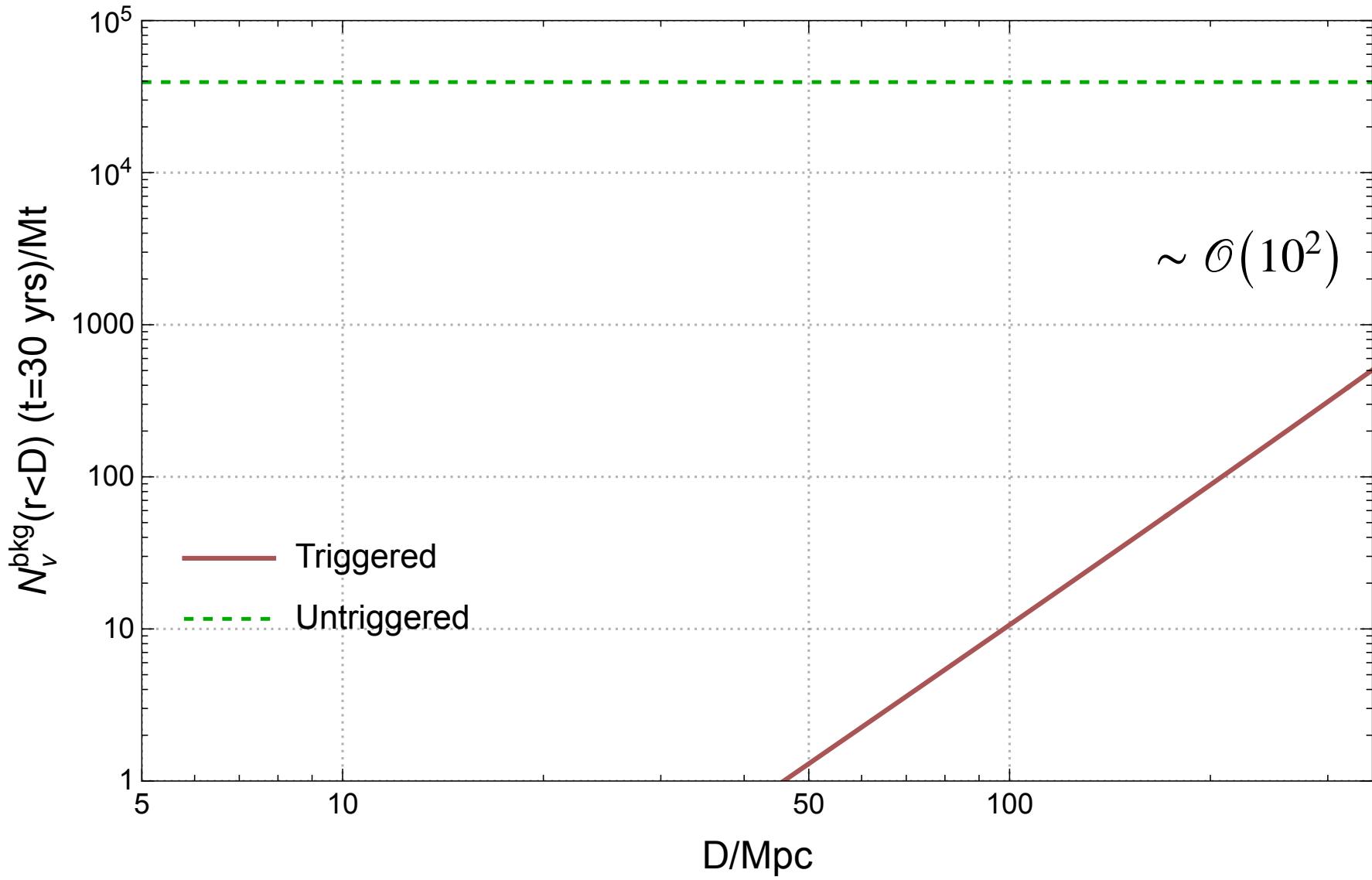
Models: NSFC



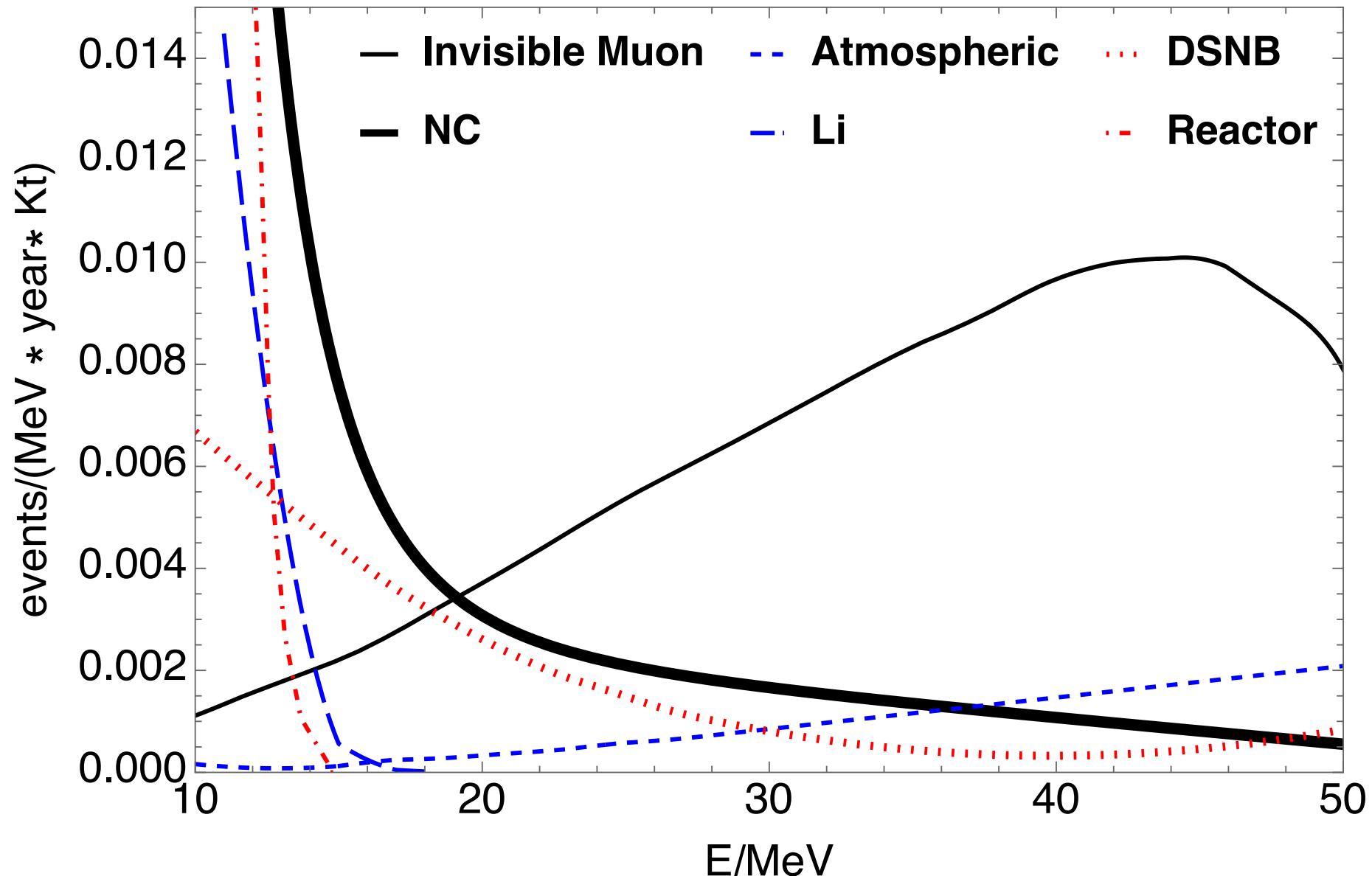
Models: BHFC



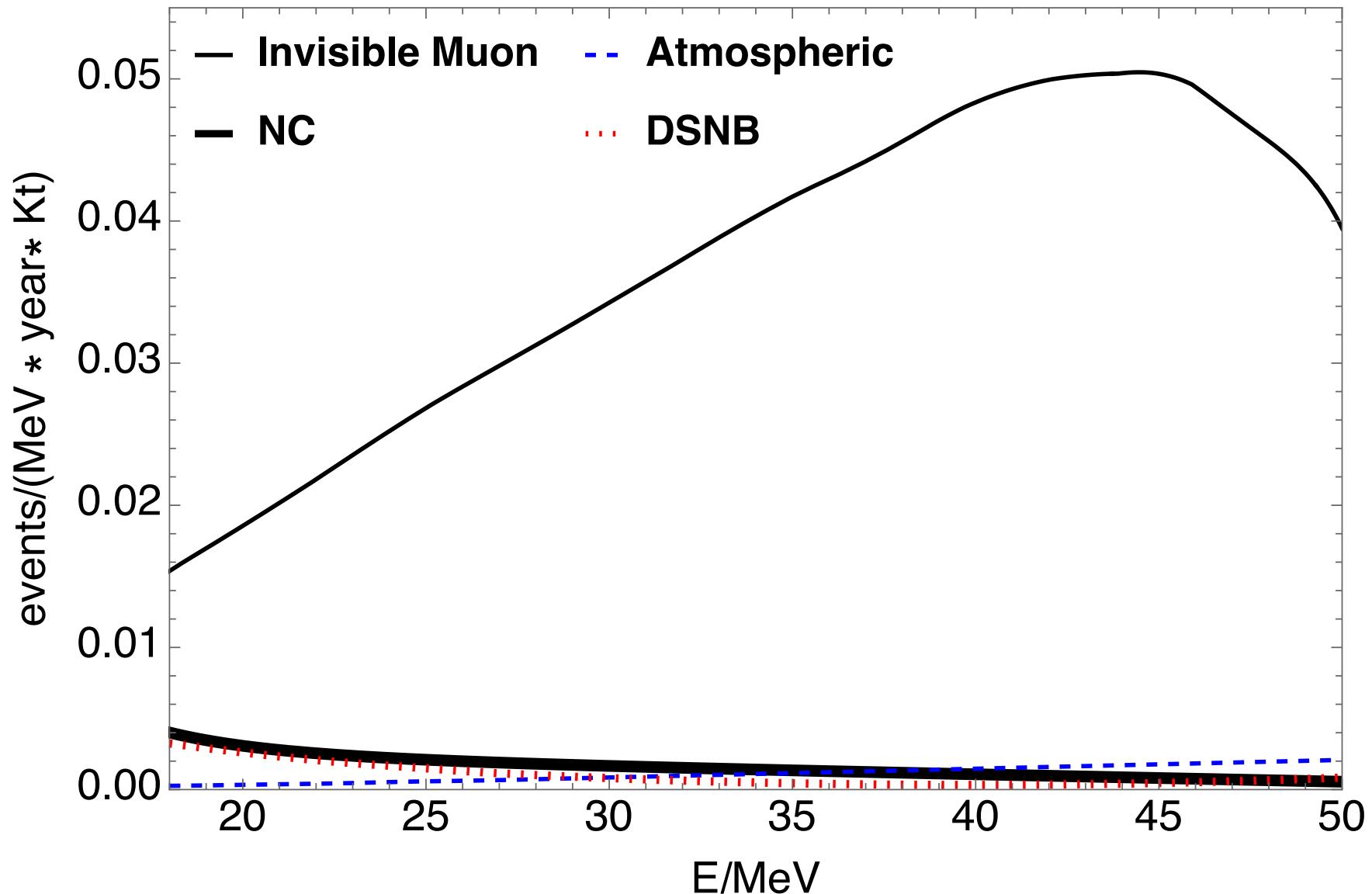
Comparison of backgrounds



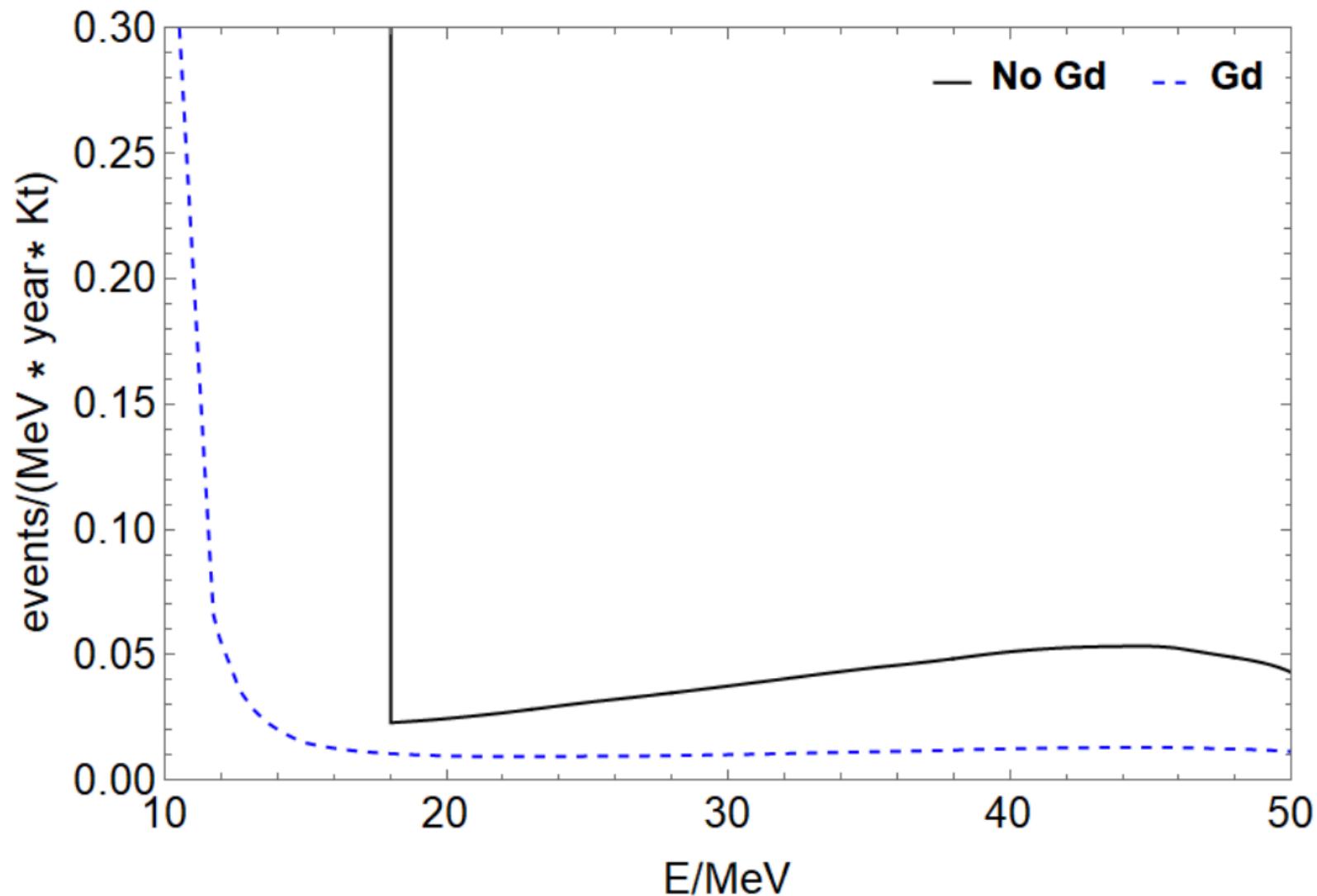
Individual backgrounds in HyperK (with Gd)



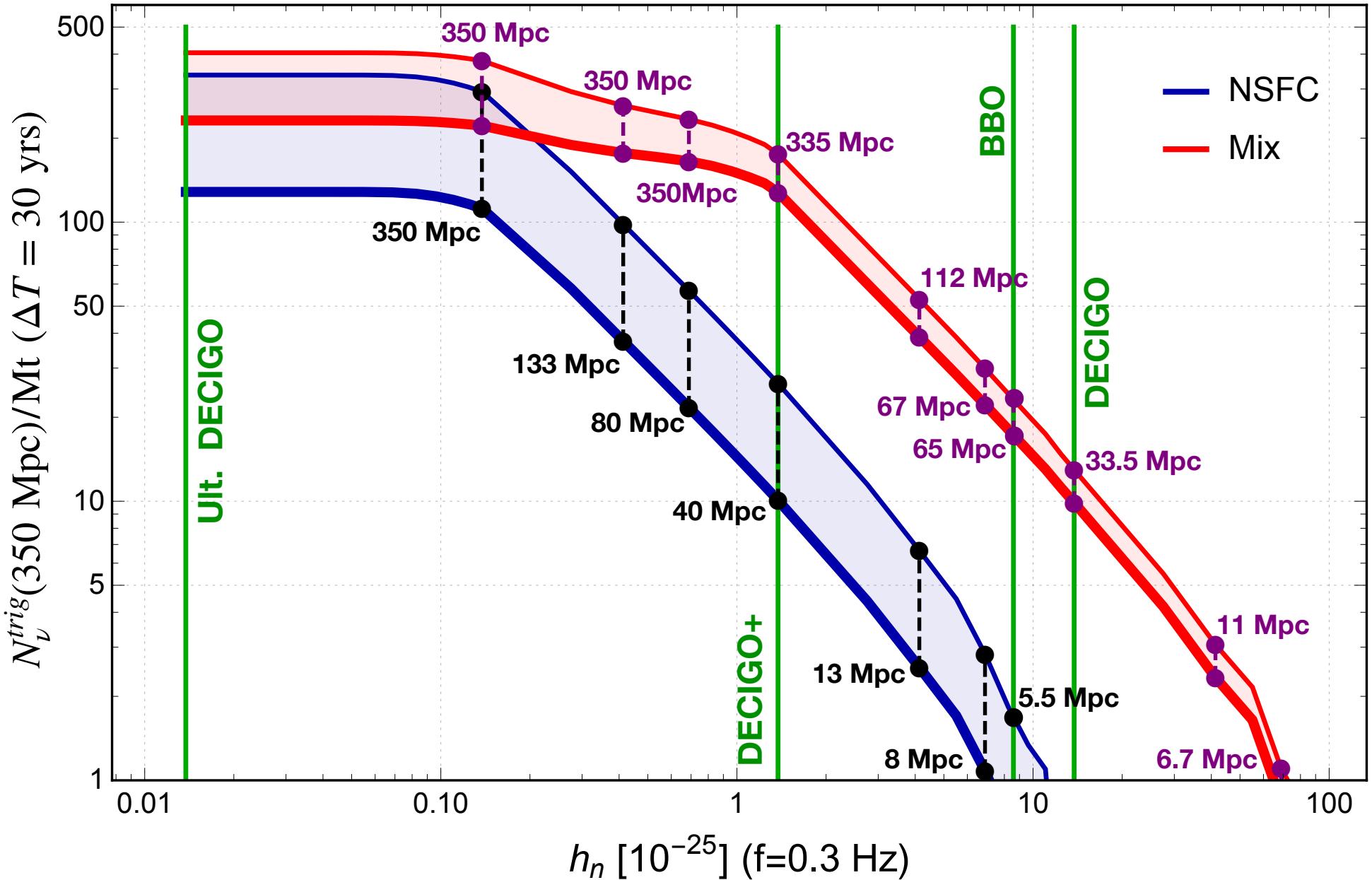
Individual backgrounds in HyperK (without Gd)



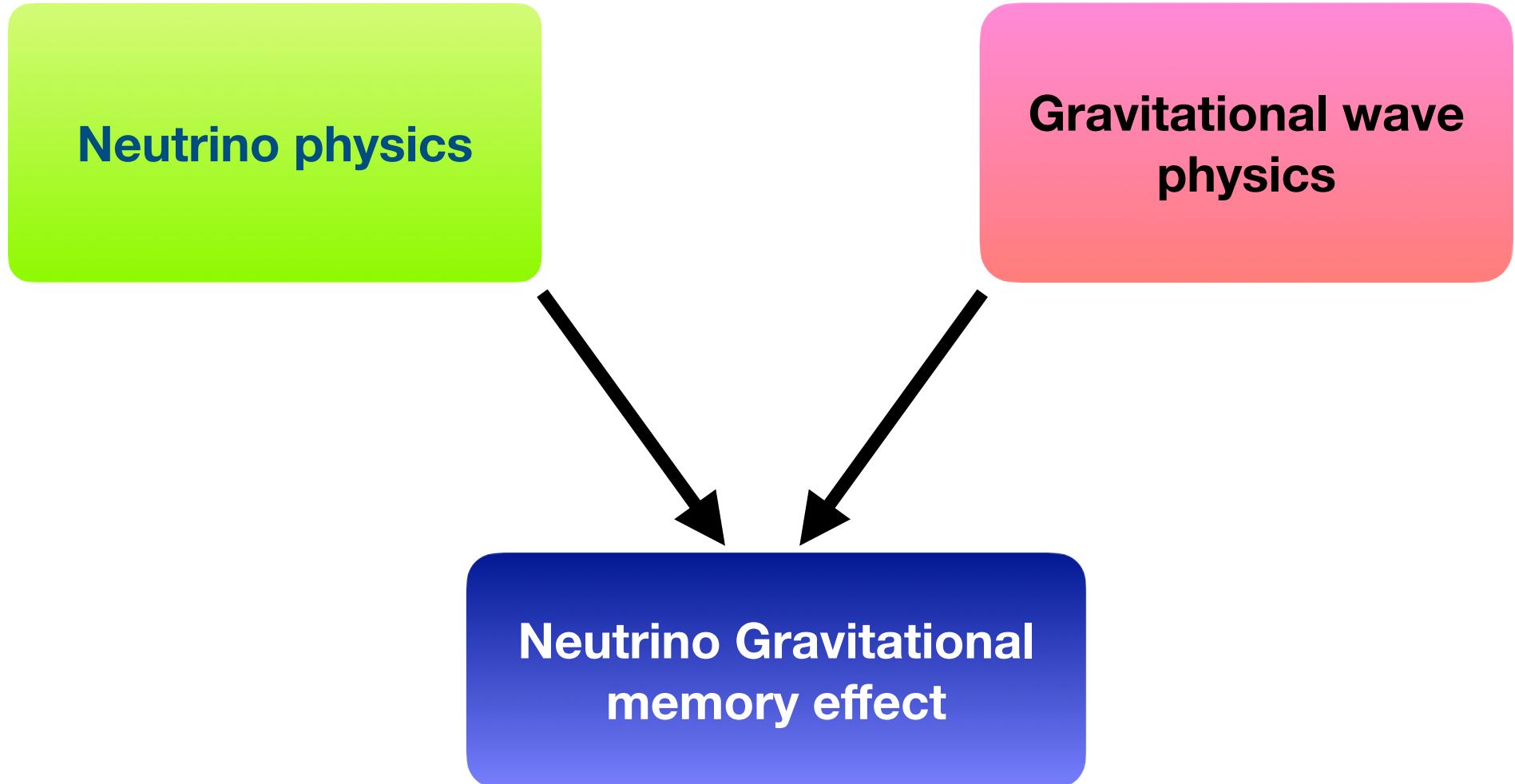
Total Background in HyperK



Overview: For GW experimental groups



What is Gravitational Wave (GW) memory?



Phenomenological Model: Ingredients

Luminosity $L_\nu(t)$:

$$L_\nu(t) = \lambda + \beta \exp(-\chi t)$$

Anisotropy parameter $\alpha(t)$:

$$\alpha(t) = \kappa + \sum_{j=1}^N \xi_j \exp\left(-\frac{(t - \gamma_j)^2}{2\sigma_j^2}\right)$$

$$h_{TT}^{xx} = h(t) = \frac{2G}{rc^4} \int_{-\infty}^{t-r/c} dt' L_\nu(t') \alpha(t')$$

$$h(t) = \sum_{j=1}^N \left\{ \left[h_{1j} \left(\text{erf}(\rho_j \tau_{1j}) + \text{erf}(\rho_j(t - \tau_{1j})) \right) \right] + \left[h_{2j} \left(\text{erf}(\rho_j \tau_{2j}) + \text{erf}(\rho_j(t - \tau_{2j})) \right) \right] \right\} + \left[h_3 \left(\frac{\beta}{\chi} (1 - \exp(-t\chi)) + \lambda t \right) \right]$$

Effective parameters from $L_\nu(t)$ and $\alpha(t)$: $h_{1j}, \rho_j, \tau_{1j}, h_{2j}, \tau_{2j}, h_3$

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Effective parameters from $L_\nu(t)$ and $\alpha(t)$: $h_{1j}, \rho_j, \tau_{1j}, h_{2j}, \tau_{2j}, h_3$

In frequency space,

$$\tilde{h}(f) = \sum_{j=1}^N \left[\left(h_{1j} \frac{i}{\pi f} \exp\left(\frac{-\pi^2 f^2}{\rho_j^2}\right) \exp\left(i2\pi f \tau_{1j}\right) \right) + \left(h_{2j} \frac{i}{\pi f} \exp\left(\frac{-\pi^2 f^2}{\rho_j^2}\right) \exp\left(i2\pi f \tau_{2j}\right) \right) \right] + \left(\sqrt{2\pi} h_3 \frac{\beta}{\chi} \left(\frac{1}{i2\pi f} - \frac{1}{-\chi + i2\pi f} \right) \right)$$

Characteristic strain $h_c(f)$:

Dimensionless quantity.

$$h_c(f) = 2f |\tilde{h}(f)|$$

Helps in computing the signal to noise ratio (SNR) and compare the signal to the sensitivity curve of the detector.

Recipe in brief

$$N_{\nu}^{trig}(D) = \Delta T \sum_{j, r_j < D} R_j N(r_j) P_{det}^{GW}(r_j)$$

Rate of CCSN (how many such events):

Use calculated rate of CCSNe below 11 Mpc (local volume)

Analytical rate beyond 11 Mpc using cosmic SFR, Salpeter IMF....

Neutrino detectors:

Water Cherenkov detectors

Main channel: IBD

Quasi thermal emission spectra - mean energy

Flux at earth - depends on distance and emission spectra

Calculate number of events in detector from a CCSN - depends on distance

GW detectors:

Calculate SNR - depends on distance to source

Calculate probability of detection given a fixed false alarm probability - depends on SNR

References

Theory :

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Yakunin et al., Phys. Rev. D 92 (2015) 084040.
Vartanyan and Burrows, Astrophys. J. 901 (2020) 108.



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