

Neutrinos from neutron star mergers

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A number of possible outcomes of a binary neutron star merger

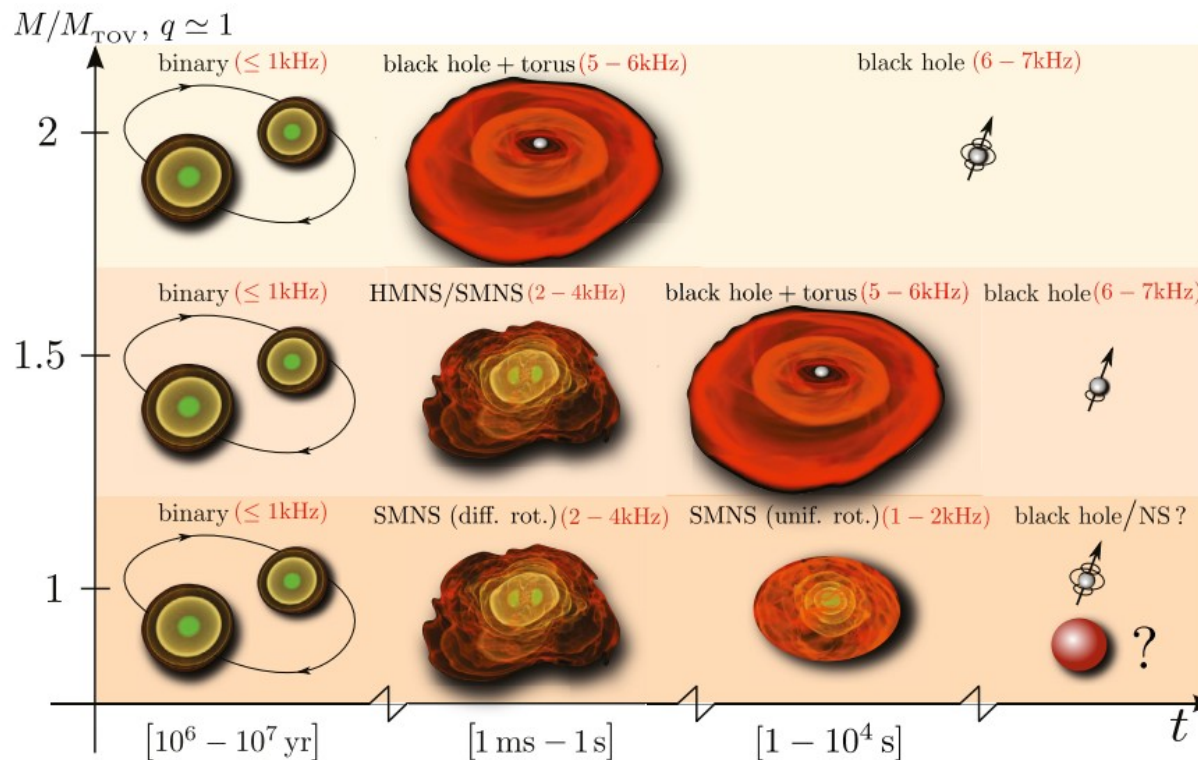


Fig. From Biaottha and Rezzolla 2017

Neutrino physics matters for the outcome of element synthesis

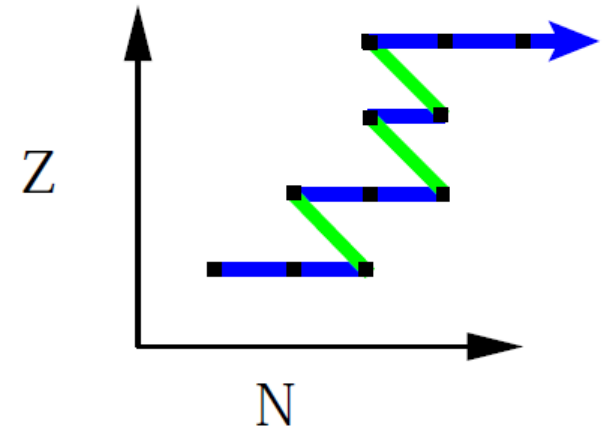
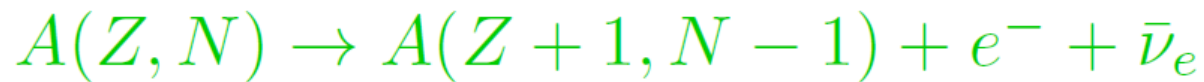
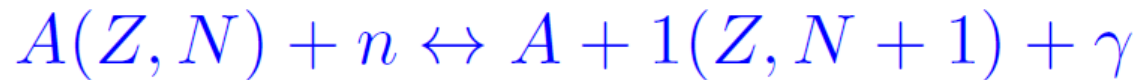
Does all the r-process material in the galaxy come from neutron star mergers?

Which r-process elements do neutron star mergers make?

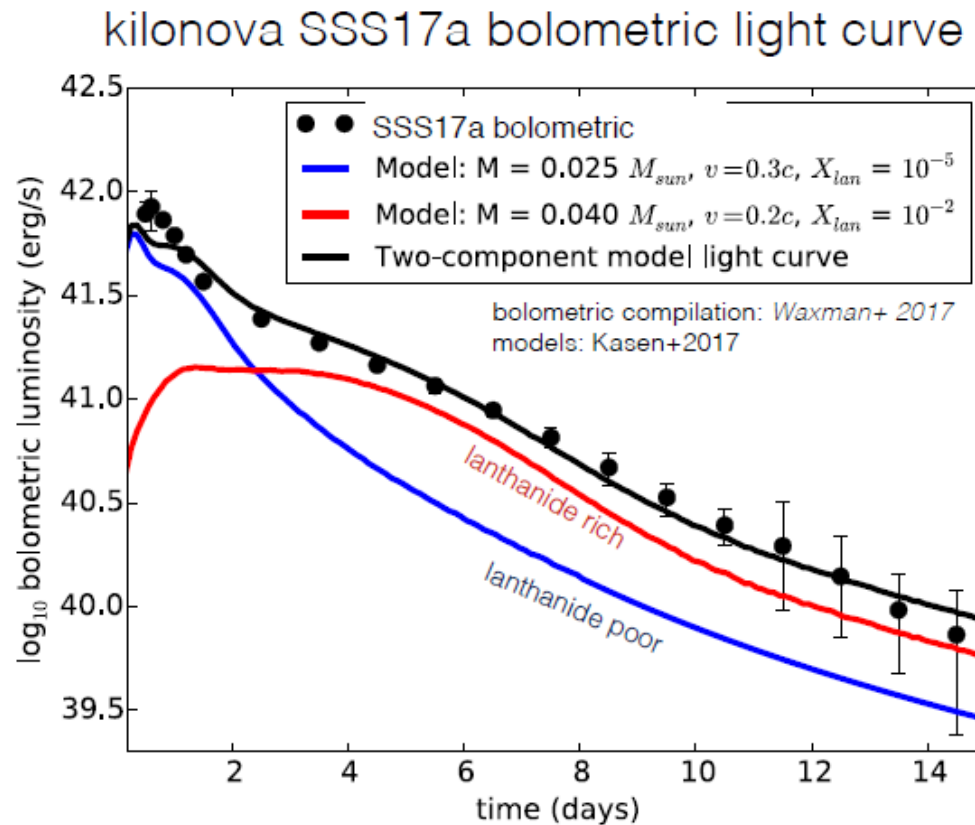
r-process: rapid neutron capture process of element synthesis.

The r-process, what is it?

The rapid neutron capture process of nucleosynthesis

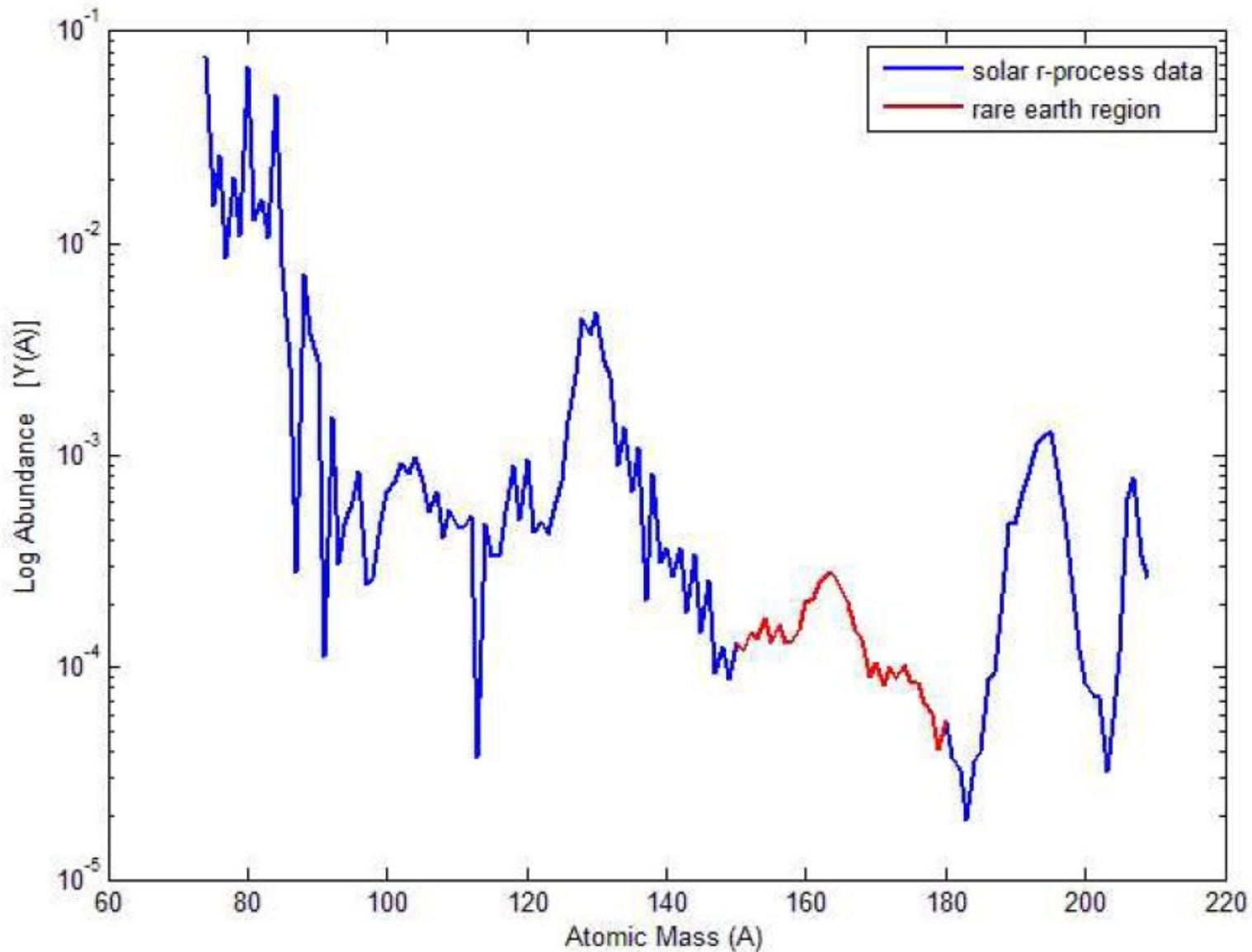


Electromagnetic counterpart to the neutron star merger GW signal



Material with significant opacity is the best fit to the data Slide credit: Dan Kasen Suggests lanthanides were made in the merger.

Where are the lanthanides?



Metal poor stars

Rare earths and third peak often seen together

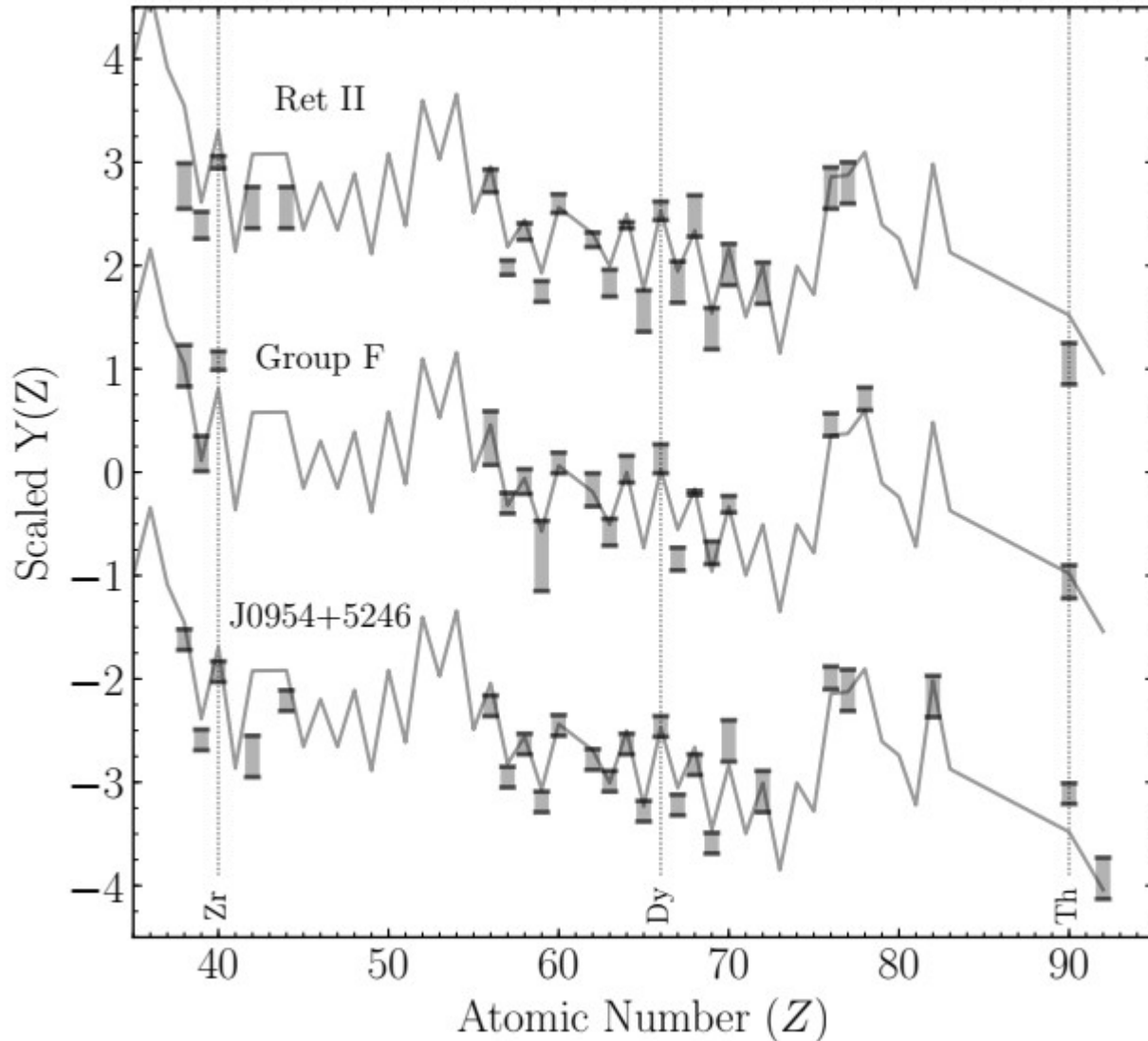
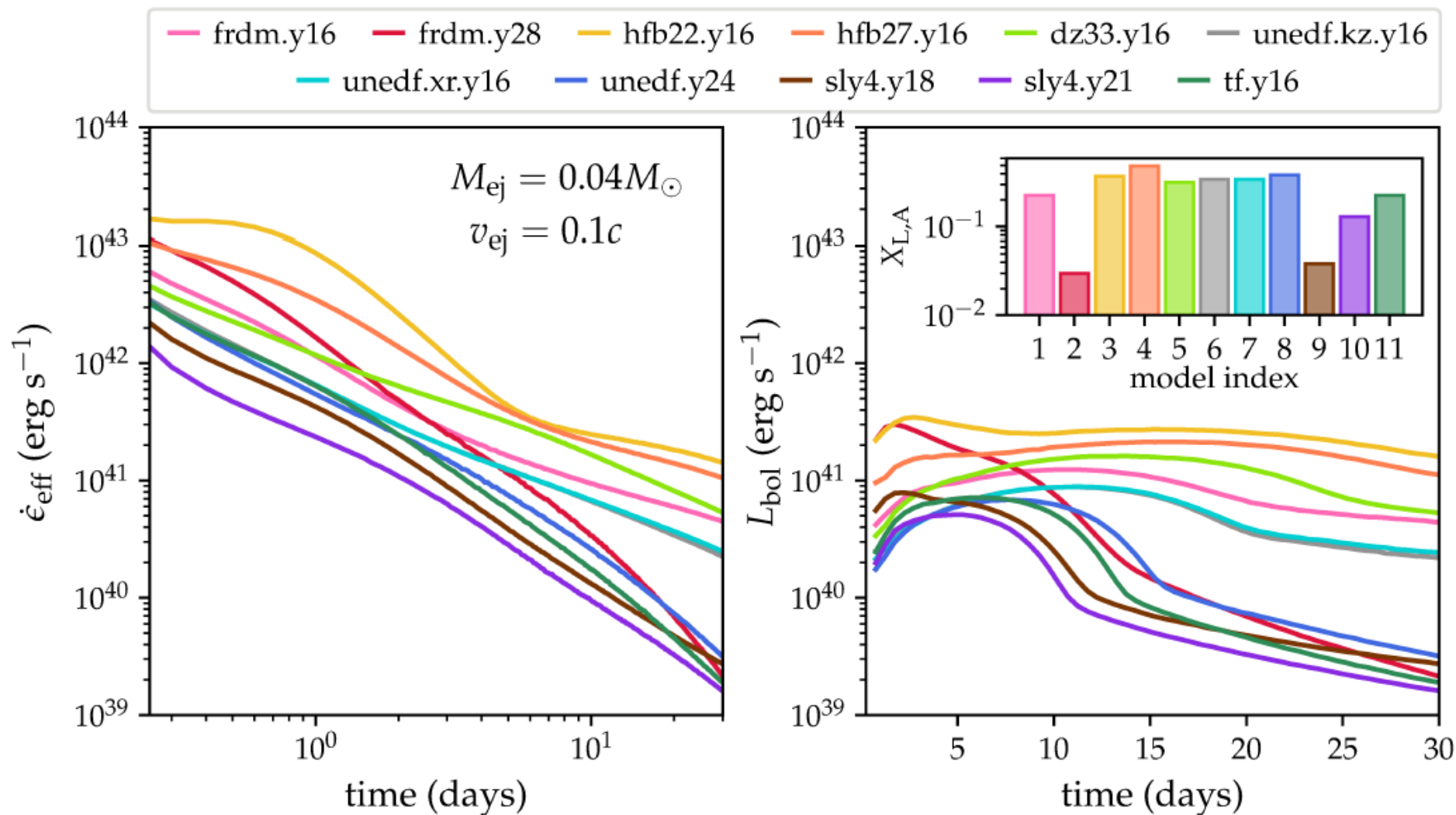
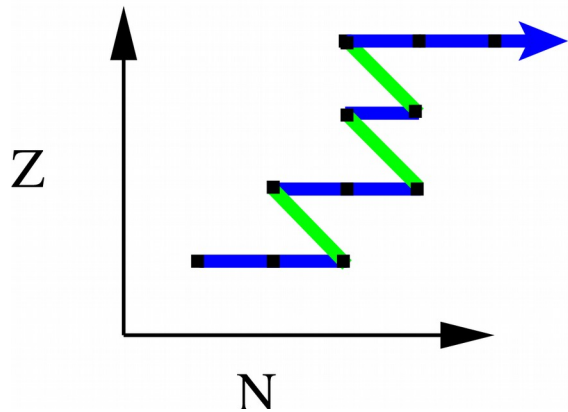
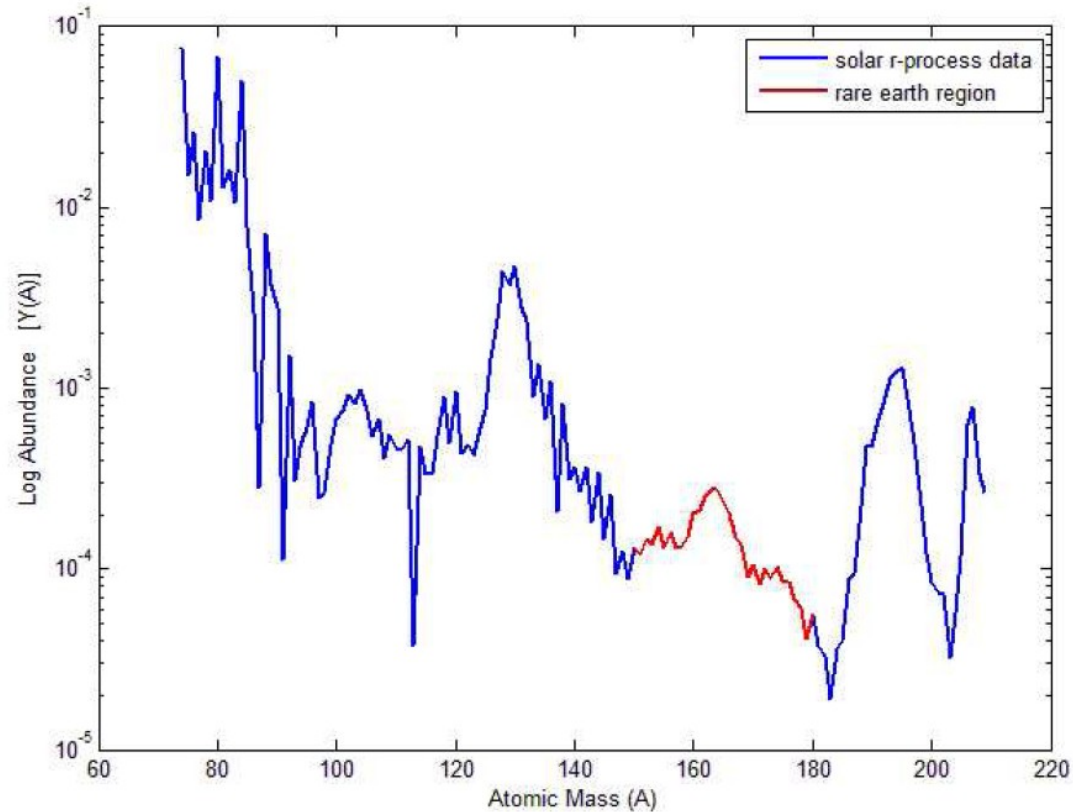


Fig from Holmbeck et al 2019

Decaying nuclei leave an imprint (in principle) on the light curve



Whether you can get to fissioning nuclei or not depends on the number of neutrons available for capture



Fissions and alpha decays

How many neutrons were captured?

Effects *both* light curve and abundance pattern

Neutrino physics changes the outcome of element synthesis

- tidal ejecta
- collisional ejecta

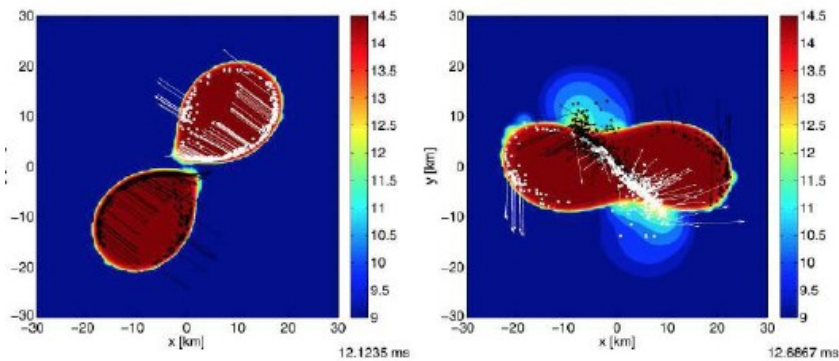


fig. from Bauswein et al 2013

- disk/hypermassive NS outflow
- outflow from viscous heating

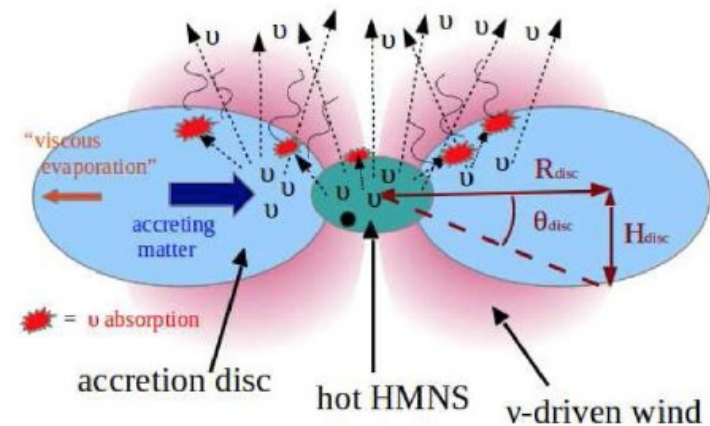
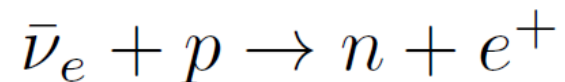
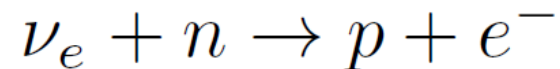


fig. from Perego et al 2014

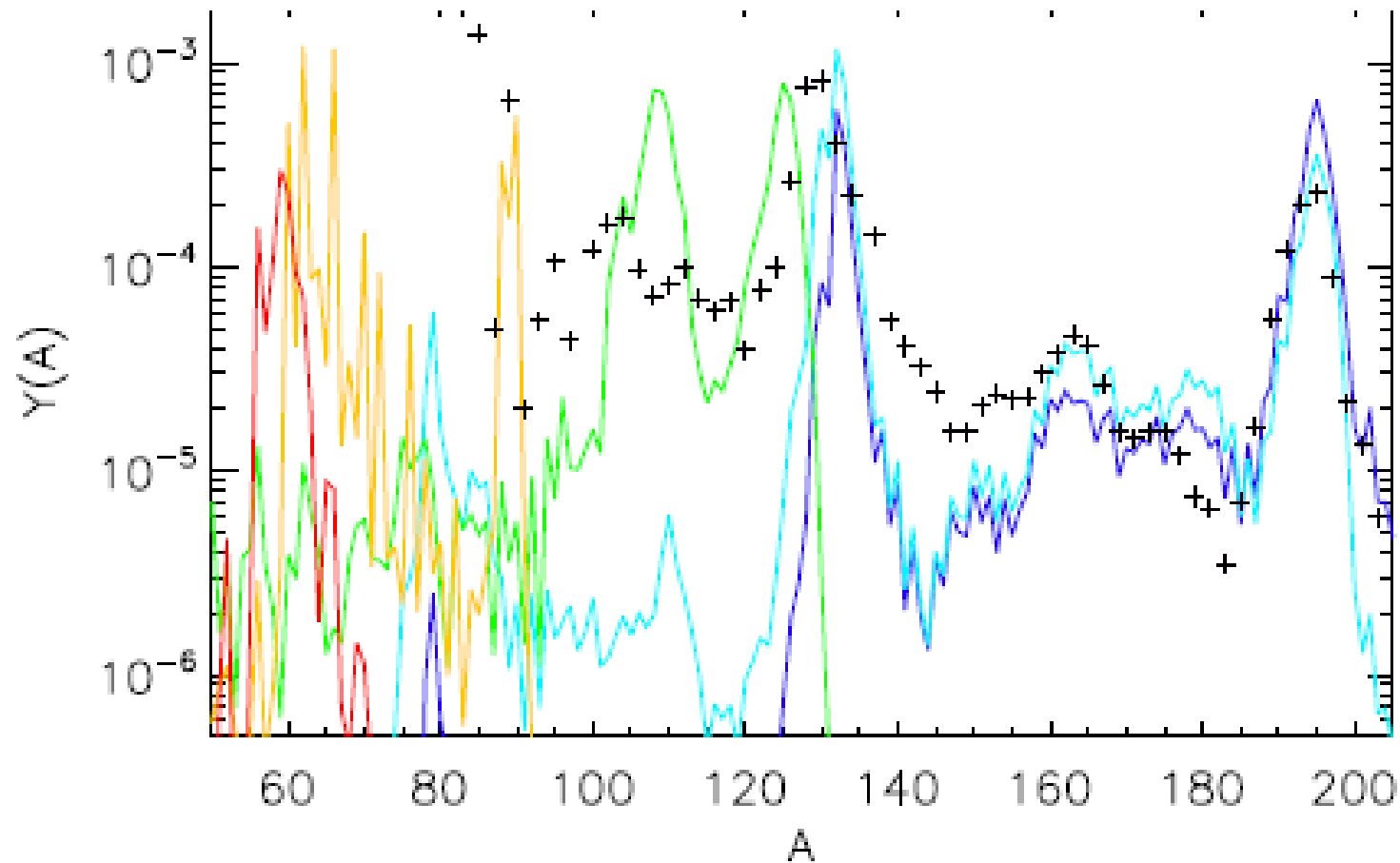
The weak interaction matters

How neutrinos influence nucleosynthesis

Neutrinos change the ratio of neutrons to protons

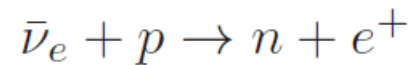
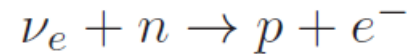


How much does it matter?



Flavor matters for nucleosynthesis

Neutrinos change the ratio of neutrons to protons



Oscillations change the spectra of ν_e s and $\bar{\nu}_e$ s

$$\nu_e \leftrightarrow \nu_\mu, \nu_\tau$$

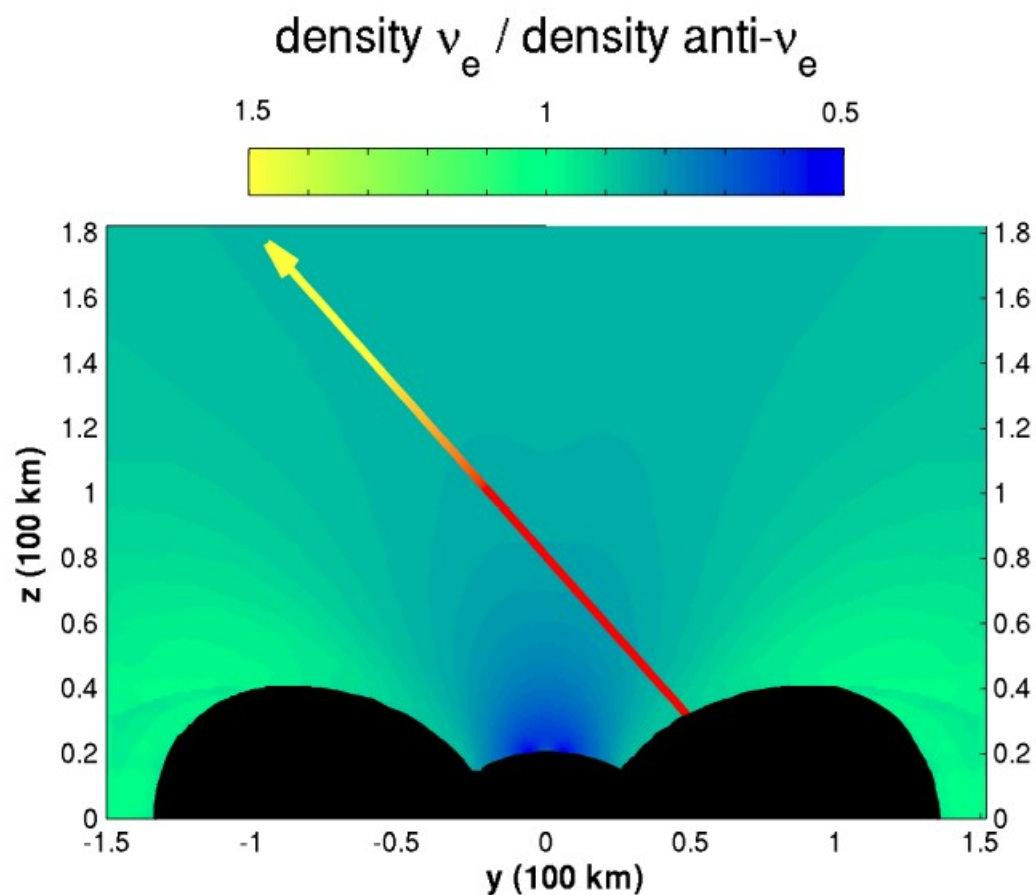
$$\bar{\nu}_e \leftrightarrow \bar{\nu}_\mu, \bar{\nu}_\tau$$

Mergers have less ν_μ, ν_τ than ν_e and $\bar{\nu}_e$

→ oscillation reduces numbers of $\nu_e, \bar{\nu}_e$

Will neutrinos transform in mergers?

Answer, almost certainly, is yes



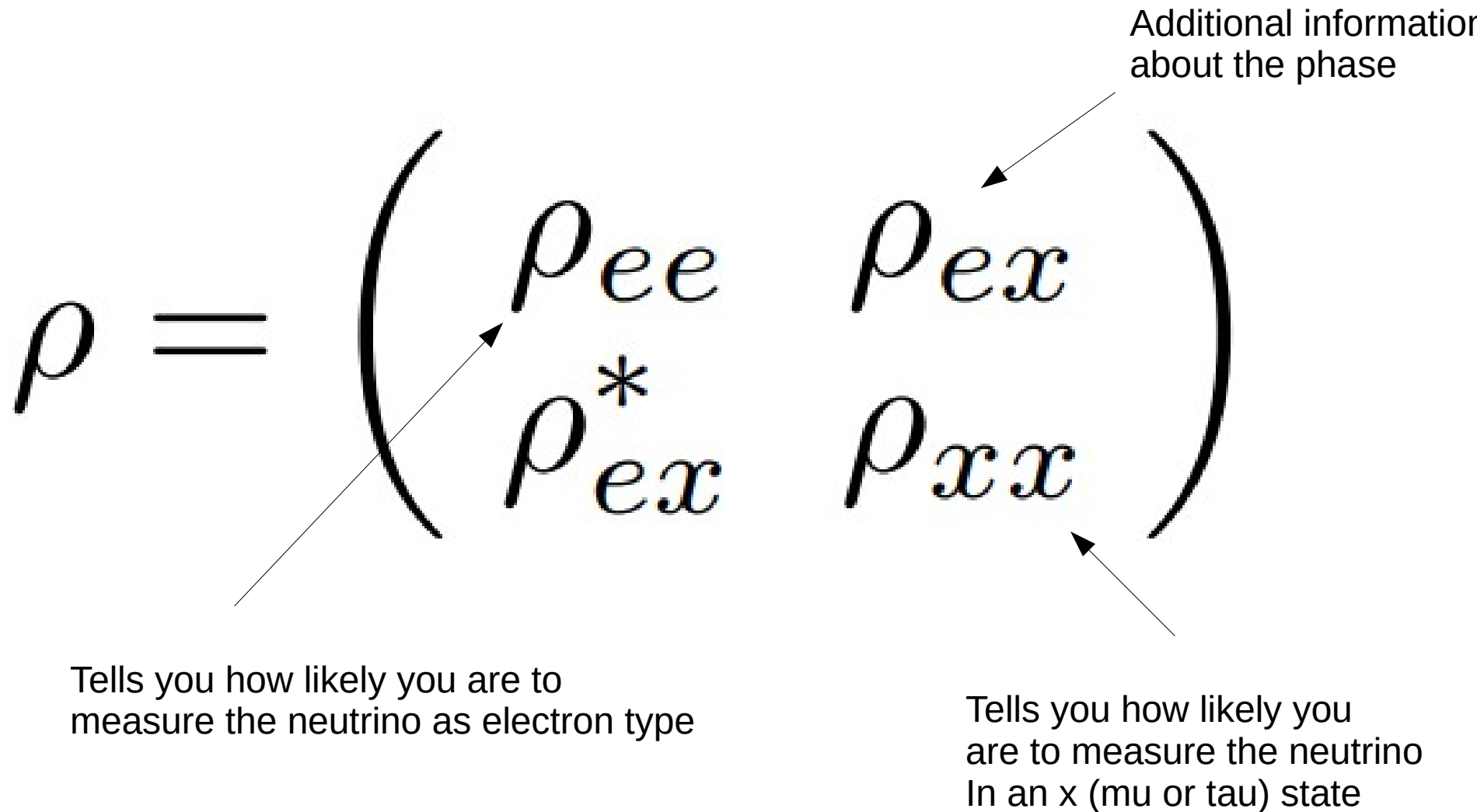
Neutrinos can be described by a density matrix

$$\rho = \begin{pmatrix} \rho_{ee} & \rho_{ex} \\ \rho_{ex}^* & \rho_{xx} \end{pmatrix}$$

Additional information about the phase

Tells you how likely you are to measure the neutrino as electron type

Tells you how likely you are to measure the neutrino in an x (mu or tau) state

The diagram shows a 2x2 density matrix ρ enclosed in large parentheses. The elements are ρ_{ee} , ρ_{ex} , ρ_{ex}^* , and ρ_{xx} . Three arrows point from text labels to specific elements: one from the top-left to ρ_{ee} , one from the top-right to ρ_{ex} , and one from the bottom-right to ρ_{xx} . The text labels explain the physical meaning of these elements: ρ_{ee} is the probability of measuring an electron-type neutrino, ρ_{xx} is the probability of measuring a muon- or tau-type neutrino, and ρ_{ex} (and its conjugate) provides phase information.

Neutrinos can oscillate (flavor transform)

$$i \frac{D\rho}{Dt} = [\mathbf{H}, \rho] + i\mathbf{C}$$

$$i \frac{D\bar{\rho}}{Dt} = [\bar{\mathbf{H}}, \bar{\rho}] + i\bar{\mathbf{C}}$$

Collision
term

Convective derivative

Hamiltonian

Hamiltonian creates non-linearity

$$\mathbf{H} = \mathbf{H}_{\text{vac}} + \mathbf{H}_{\text{M}} + \mathbf{H}_{\text{SI}}$$

$$\bar{\mathbf{H}} = \mathbf{H}_{\text{vac}} - \mathbf{H}_{\text{M}} - \mathbf{H}_{\text{SI}}^*$$

$$i \frac{D\rho}{Dt} = [\mathbf{H}, \rho]$$

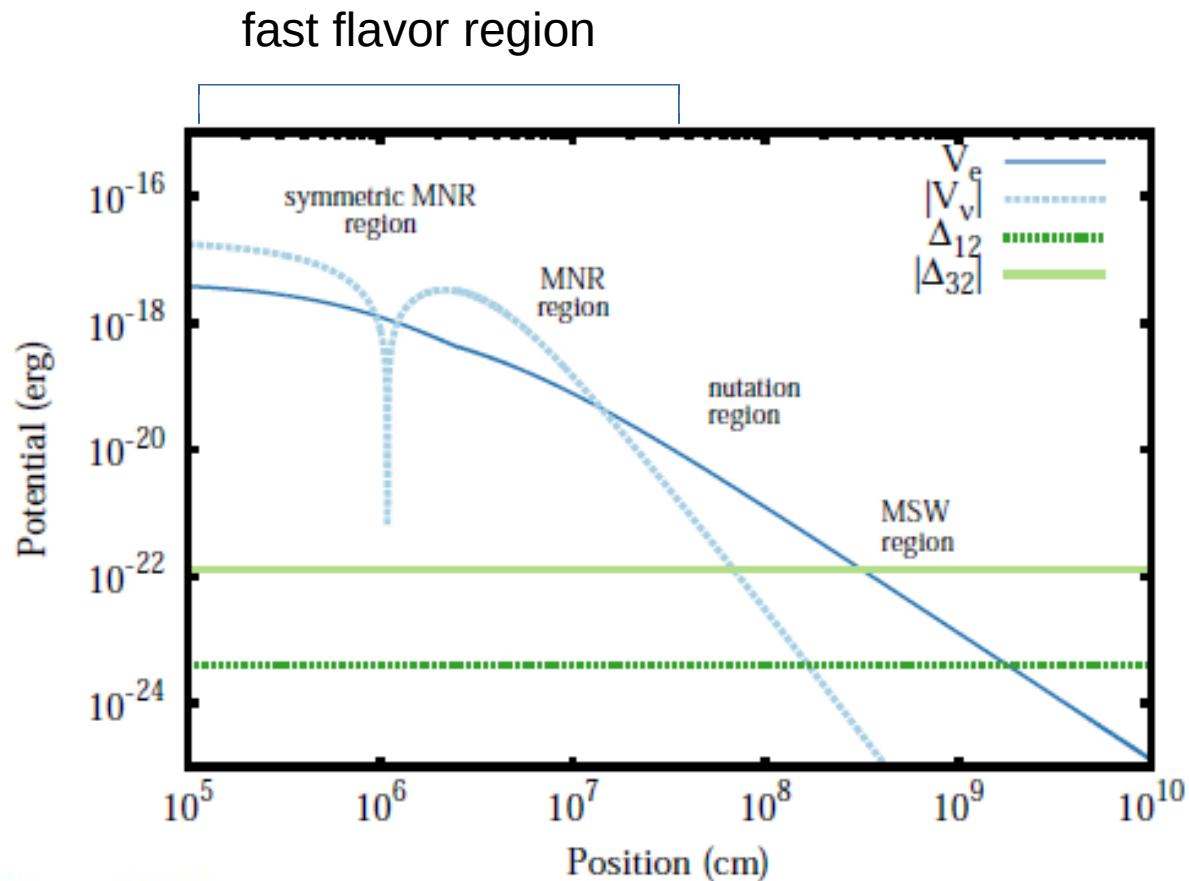
$$i \frac{D\bar{\rho}}{Dt} = [\bar{\mathbf{H}}, \bar{\rho}]$$

Neutrinos see a potential due to other neutrinos

Neutrinos see a potential due to the matter

Flavor and mass are not the same

Where and how these transformations might occur



$$\mathbf{H} = \mathbf{H}_{\text{vac}} + \mathbf{H}_{\text{M}} + \mathbf{H}_{\text{SI}}$$

$$\bar{\mathbf{H}} = \mathbf{H}_{\text{vac}} - \mathbf{H}_{\text{M}} - \mathbf{H}_{\text{SI}}^*$$

fig. from Malkus et al 2016

Transformation closest to the emission: “fast flavor”

Fast flavor:

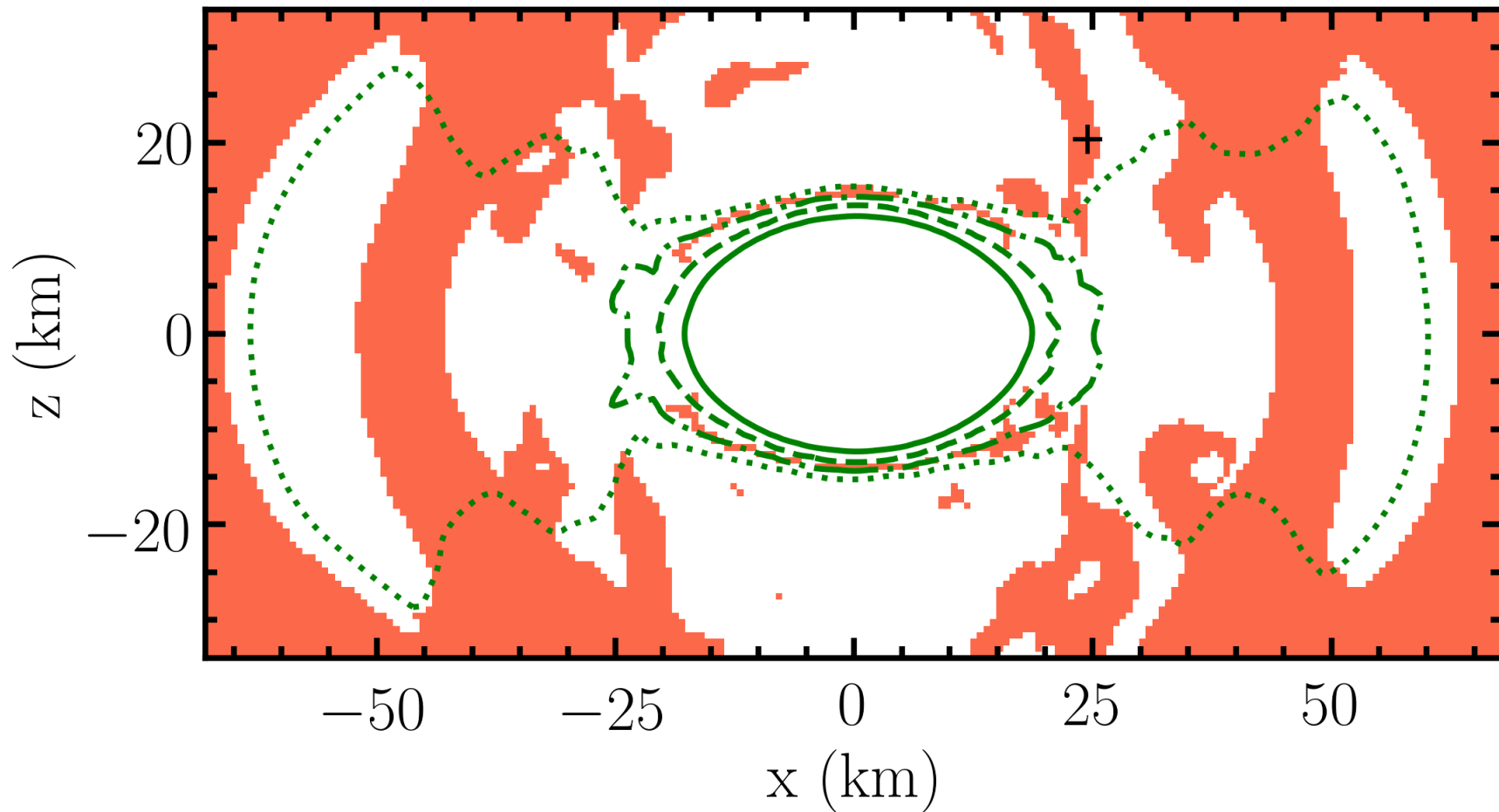
fastest transitions when inverse fluctuation wavelength (k) is similar to the difference in number density between neutrinos and antineutrinos

and

there is a “crossing”

(Sawyer, Friedland, Johns, Fuller, Balantekin, Patwardhan, Suliga, Wu and many more)

Crossings in BNS remnant



Grohs, Richers et al in prep, original (classical)
simulation from Francois Foucart

Ways to analyze flavor transformation

- Stability analysis → Find a growth rate
- (Toy Models)
- Particle in cell methods → track everything about every neutrino
- More approximate methods → moments

Toward inclusion in simulation: less exact methods: e.g. moments

What? Represent all the neutrinos at each point in space as four quantities (e.g. energy density and flux) and evolve these

Why? Possible way to eventually integrate into neutron star merger, supernova simulations

Numerical risk: Truncating an infinite tower of moments
(Fuller, Johns, Burrows, Duan ...)

Use two moments

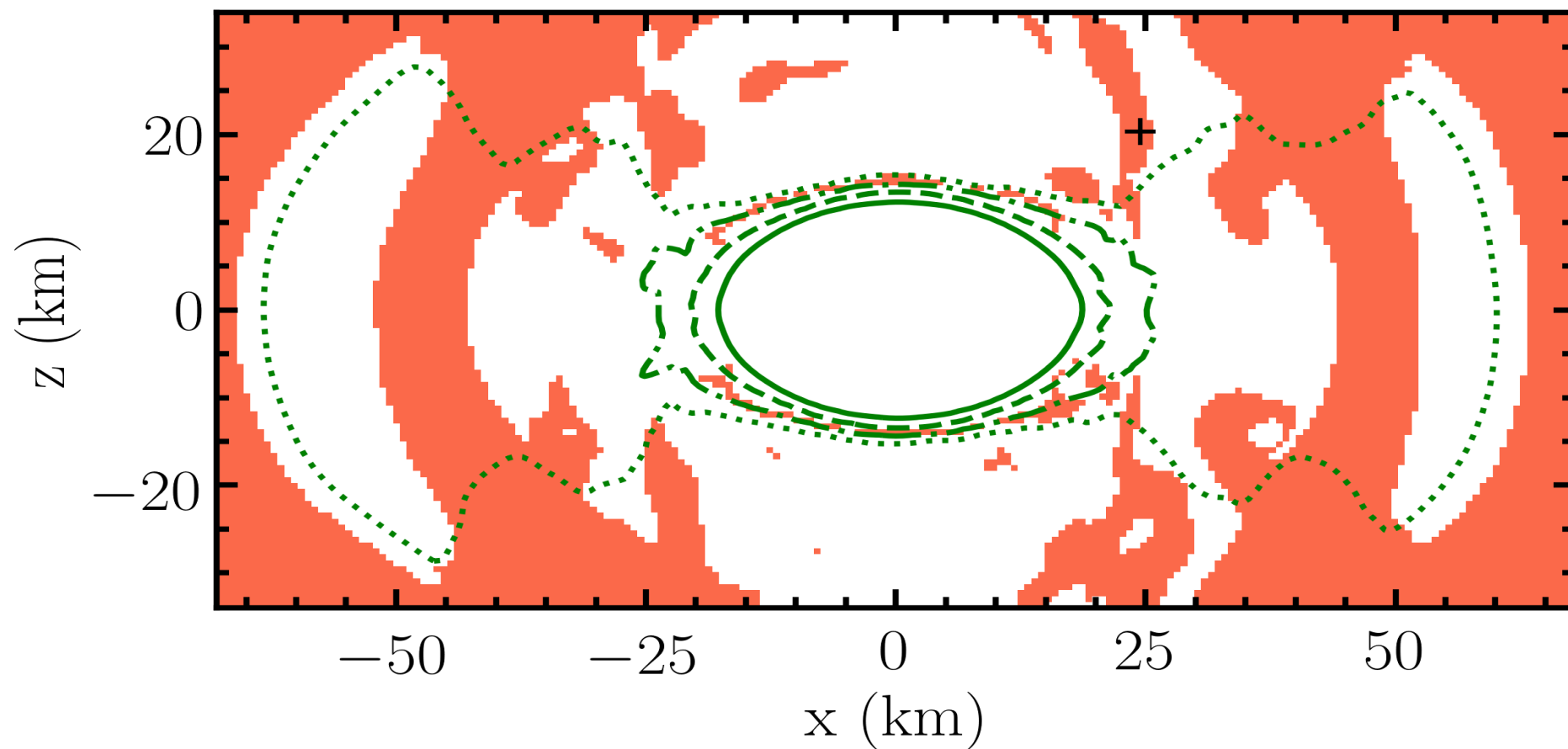
$$E(t, \vec{r}, q) = \frac{1}{4\pi} \left(\frac{q}{2\pi\hbar c} \right)^3 \int d\Omega_p f(t, \vec{r}, \vec{p})$$

$$\vec{F}(t, \vec{r}, q) = \frac{1}{4\pi} \left(\frac{q}{2\pi\hbar c} \right)^3 \int d\Omega_p \hat{p} f(t, \vec{r}, \vec{p})$$

$$P(t, \vec{r}, q) = \frac{1}{4\pi} \left(\frac{q}{2\pi\hbar c} \right)^3 \int d\Omega_p \hat{p} \otimes \hat{p} f(t, \vec{r}, \vec{p})$$

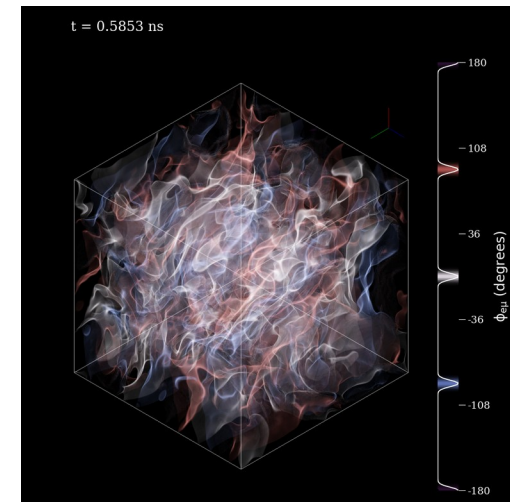
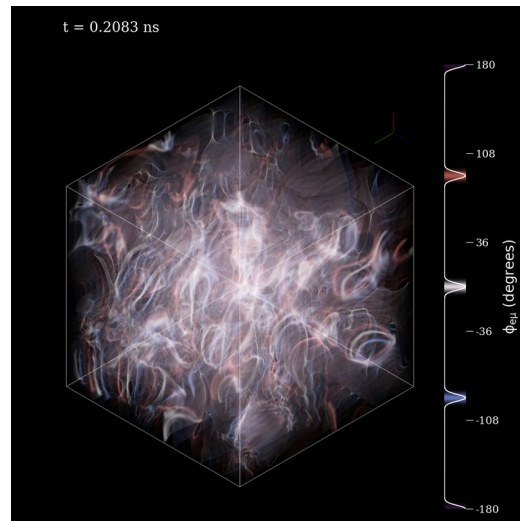
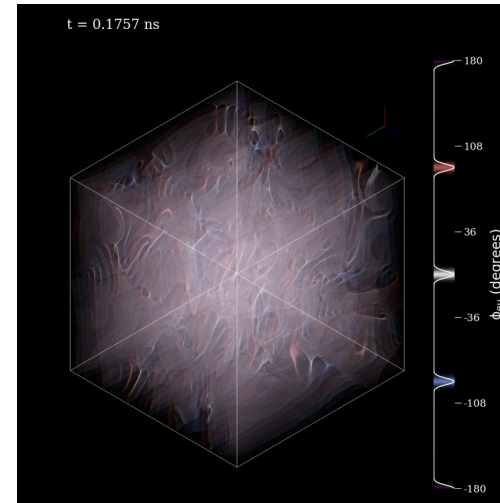
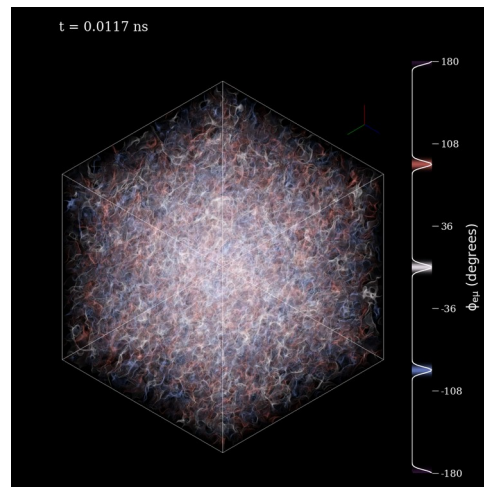
Use Energy and flux moments, but then need a closure: $P = F_{\text{closure}}$ (energy, flux)

Crossings in BNS remnant

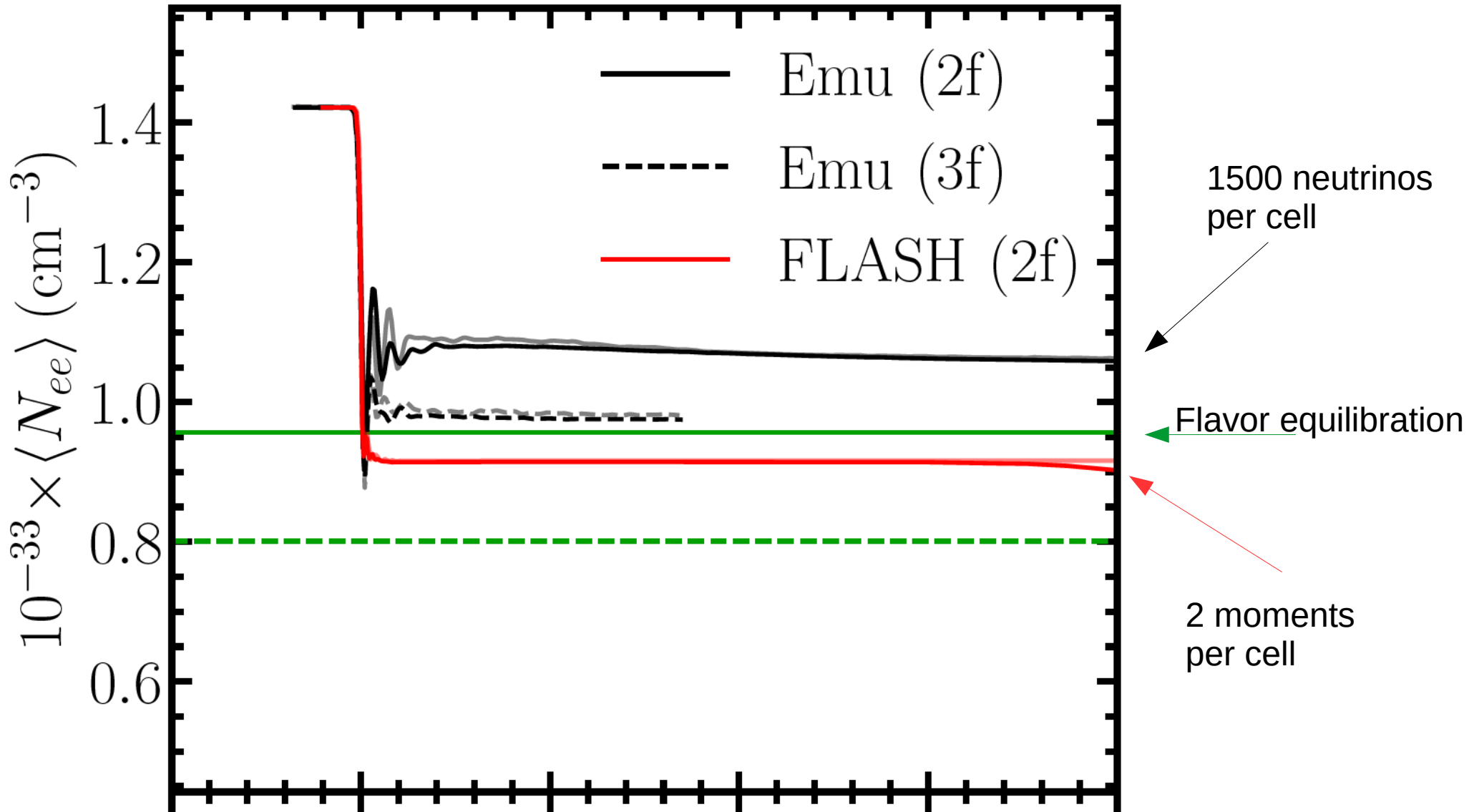


Fast flavor oscillations above a BNS merger with moments using FLASH

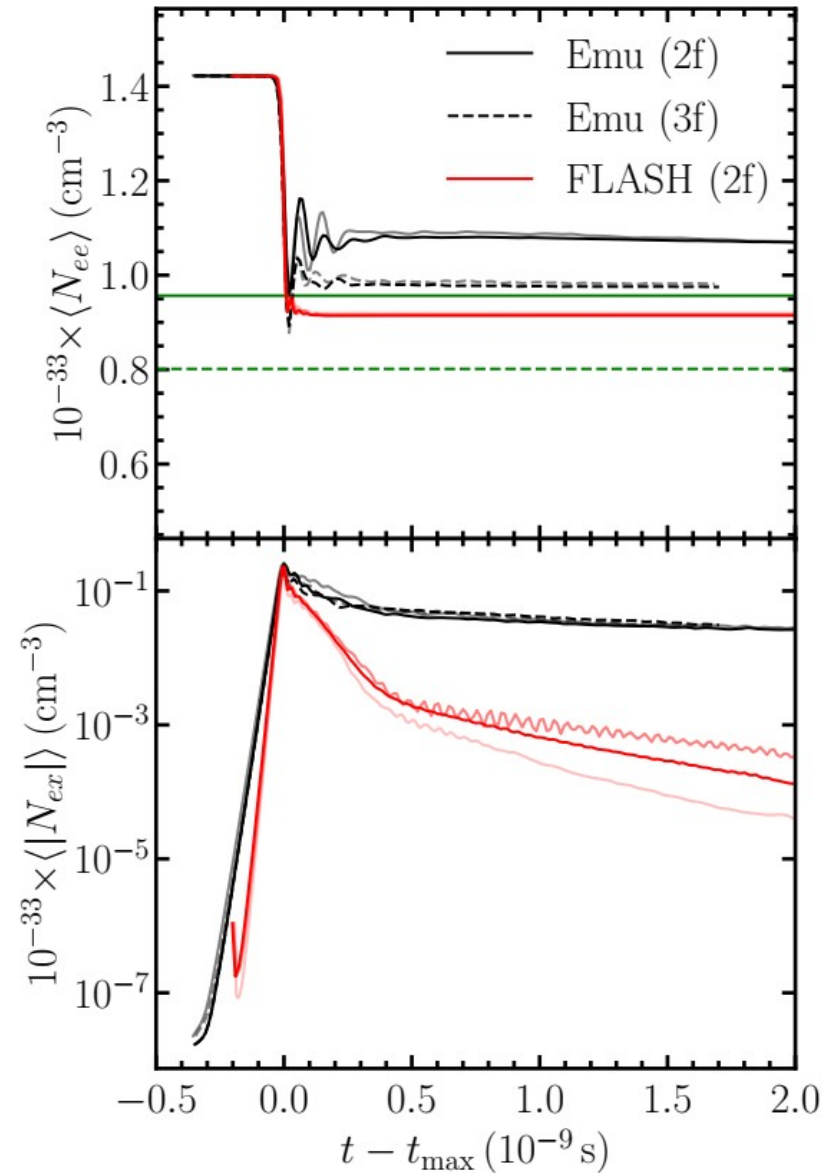
(Grohs et al in prep.)



Growth and saturation, BNS, moments vs PIC

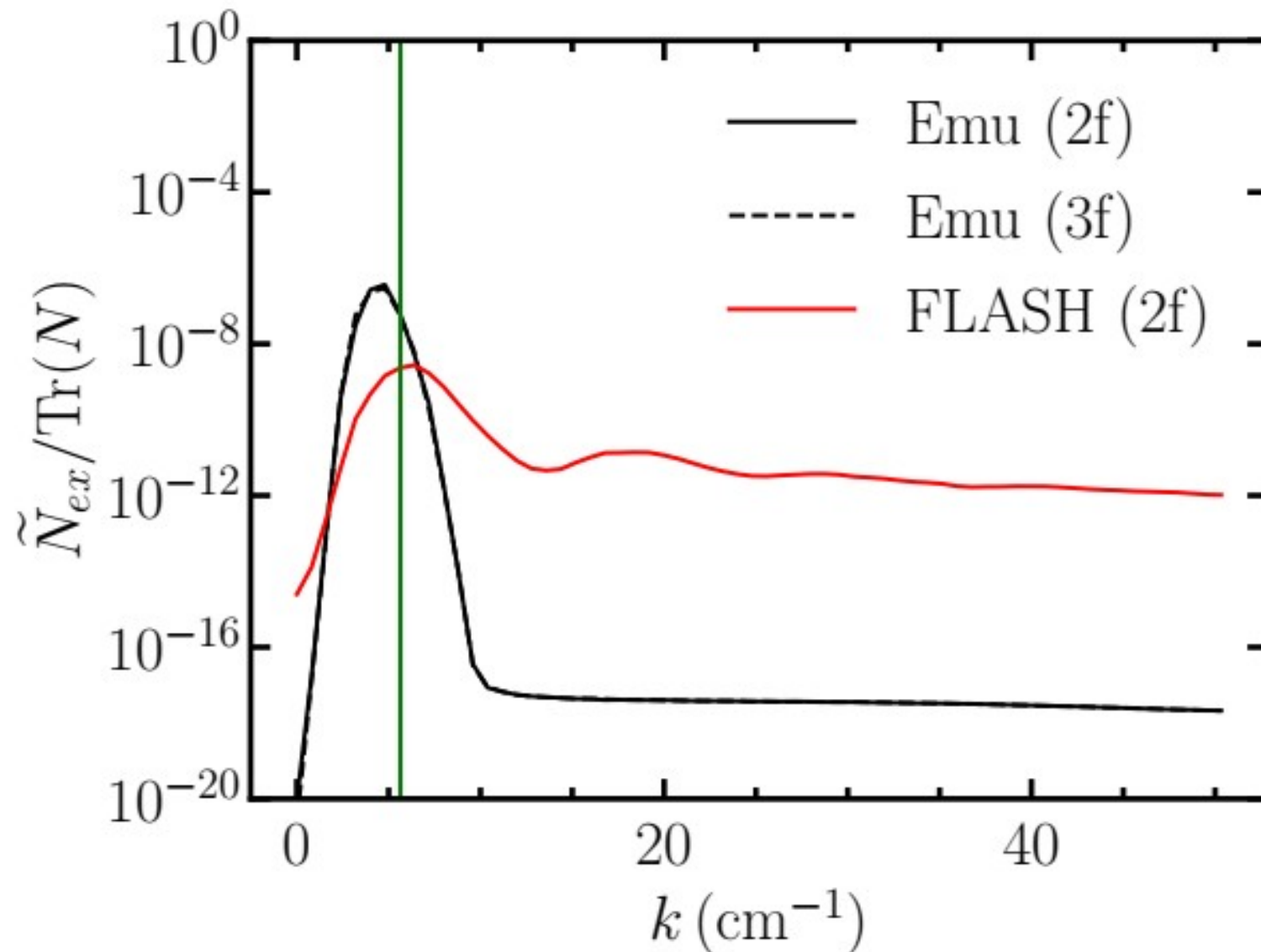


Growth and saturation, BNS, moments vs PIC



Grohs et al in prep

Fourier transform BNS, moments vs PIC



Conclusions

We need to understand neutrinos in astrophysical systems to accurately predict observables including r-process

Involves solving the quantum kinetic equations in astrophysical environments

Starting to make progress on this using moment based methods

To keep mind: Astrophysical objects will make better laboratories for neutrino physics if we make progress on understanding systems with large numbers of neutrinos