





CRC-TR 211





Search for dark photons in heavy-ion collisions

Elena Bratkovskaya

(GSI, Darmstadt & Uni. Frankfurt)

Ida Schmidt, Malgorzata Gumberidze, Romain Holzmann (Frankfurt Uni, GSI, Darmstadt) Adrian William Romero Jorge (Havana Uni. & GSI, Darmstadt)



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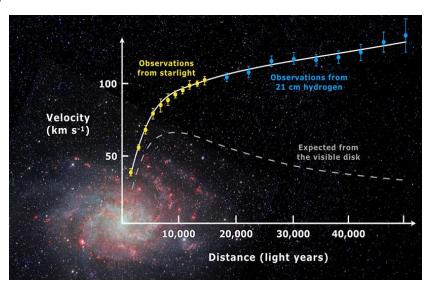


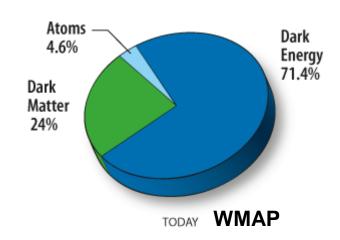
Structure of Universe

- □ Dark matter (DM) ~24%
- DM detected by astrophysical observations based on gravitational effects:

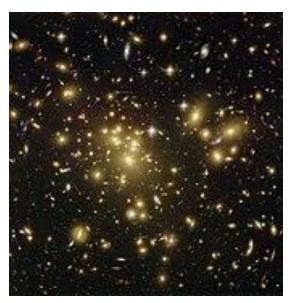
1933: F. Zwicky: observation of galaxy clusters

1970: V. Rubin: rotation anomalies in galaxies



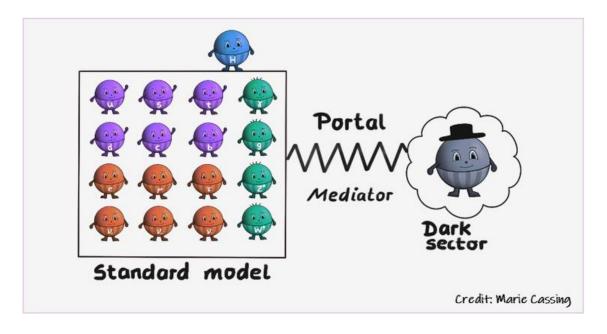


Hubble: gravitational lensing



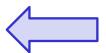
Dark matter portals

Search for non-gravitational dark matter (DM) interactions with normal matter, i.e. with standard model (SM) particles



$$\mathcal{L} \supset \begin{cases} -\frac{\epsilon}{2\cos\theta_W} B_{\mu\nu} F'^{\mu\nu} , & \text{vector portal} \\ (\mu\phi + \lambda\phi^2) H^{\dagger} H , & \text{Higgs portal} \\ y_n L H N , & \text{neutrino portal} \\ \frac{a}{f_a} F_{\mu\nu} \widetilde{F}^{\mu\nu} , & \text{axion portal}. \end{cases}$$





Vector portal

The 'vector' portal assumes the mixing of SM and DM via a U(1)-U(1)' gauge symmetry group mixing

L.B. Okun, Sov. Phys. 56 JETP (1982); B. Holdom, Phys. Lett. B 166, 196 (1986)

$$\mathcal{L}_{A'} = -\frac{1}{4} F'^{\mu\nu} F'_{\mu\nu} + \left[\frac{1}{2} \frac{\epsilon}{\cos \theta_W} B^{\mu\nu} F'_{\mu\nu} \right] - \frac{1}{2} m_{A'}^2 A'^{\mu} A'_{\mu}$$

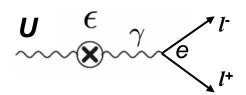
Dark photon field strength:

$$F'_{\mu\nu} \equiv \partial_{\mu}A'_{\nu} - \partial_{\nu}A'_{\mu}$$

SM hypercharge field strength:

$$B_{\mu\nu} \equiv \partial_{\mu}B_{\nu} - \partial_{\nu}B_{\mu}$$

 ϵ - kinetic mixing parameter:



 $\varepsilon^2 = \alpha'/\alpha$

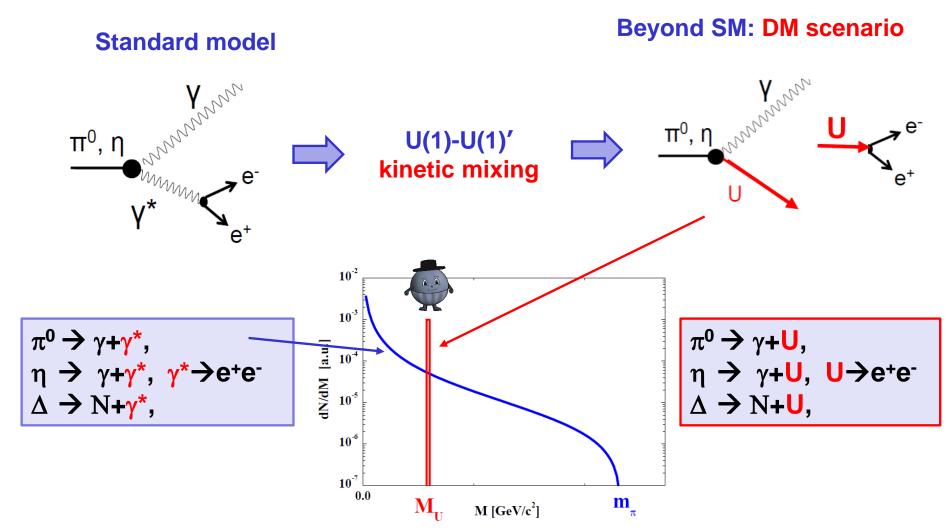
Due to the kinetic mixing the dark photon (U-boson) couples to the electromagnetic current with strength ϵe

Unknown: kinetic mixing parameter ϵ and mass M_U

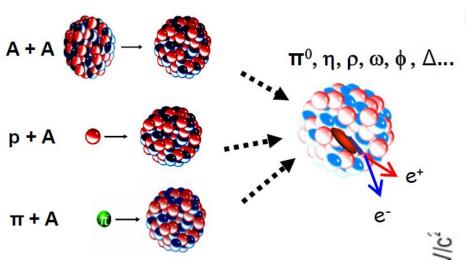
^{*} Notation in literature for the 'dark photon': A', V, U- boson

Dalitz decay of the dark photon to dileptons

Dalitz decays of pseudoscalar mesons π^0 ,η and Δ-resonances to dileptons via the U-boson mediator



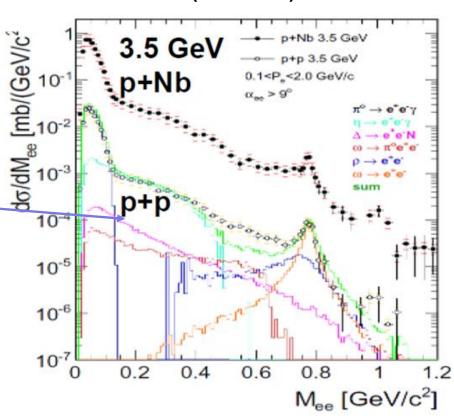
Possible dark photon observation by dilepton experiments



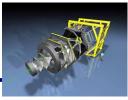
Dilepton spectra from SM sources are well studied by dilepton experiments from SIS to LHC energies

Dilepton spectra at low M ('cocktail')

- ☐ Hadron production by p+p, p+A, A+A
- Hadron decay to dileptons
- Dalitz π⁰,η and Δ decays are the dominant dilepton sources at low M
- → Possibility for an experimental observation of dark photons by electromagnetic decays U→ e⁺e⁻ in heavy-ion experiments



Search for dark photons with HADES (GSI)

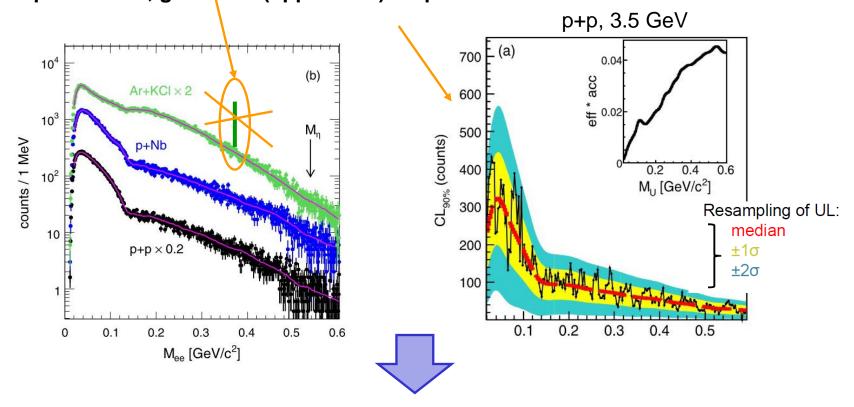


HADES data:

p+p, p+Nb at 3.5 GeV, Ar+KCl at 1.76 A GeV

G. Agakishiev et al. (HADES), Phys. Lett. B 731, 265 (2014)

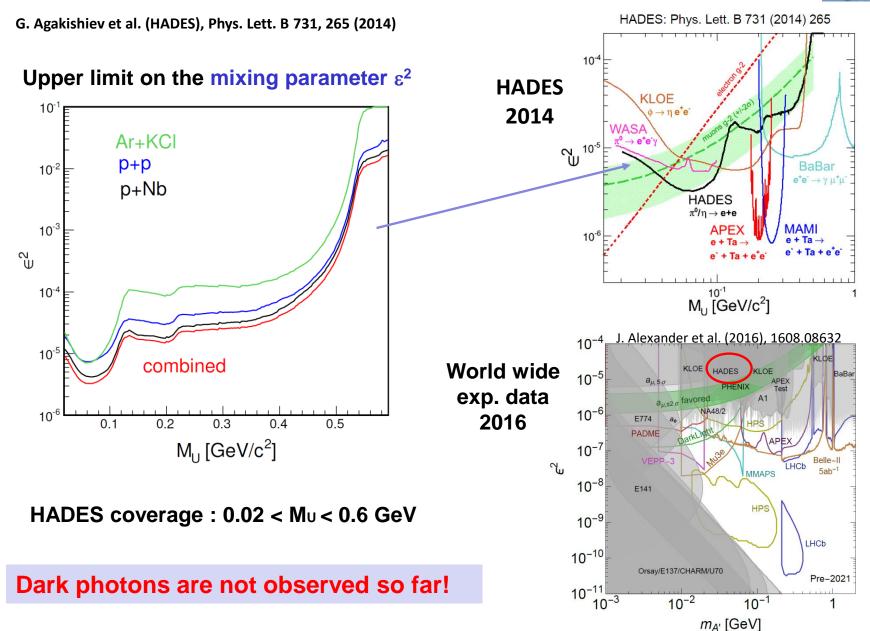
1) Search for a peak structure in the raw dN/dM spectrum taking into account mass resolution: fit with 5th-order polynomial + Gauss peak for each fixed M bin
2) If no peak found, get an UL (upper limit) on peak



3) Transform this UL into an UL on the mixing parameter ε² based on the modelling of the U-boson production rate (B. Batell, M. Pospelov, and A. Ritz, PRD 80,095024 (2009))

Search for dark photons with HADES





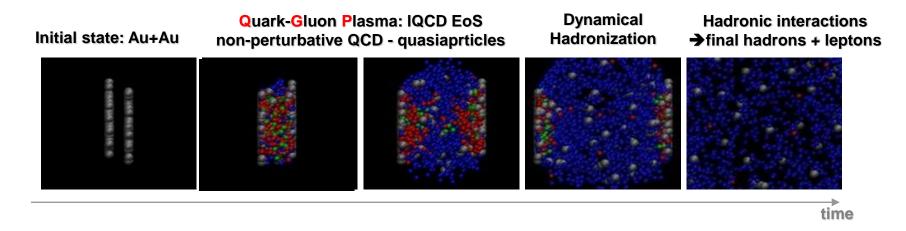


Theoretical modeling of U-boson production

Goal: estimate the upper limit for the kinetic mixing parameter $\epsilon^2(M_U)$ of the U-boson from the theoretically calculated dilepton spectra using the microscopic PHSD transport approach

Parton-Hadron-String Dynamics (PHSD) is a non-equilibrium microscopic transport approach for the description of strongly-interacting hadronic and partonic matter created in heavy-ion collisions

Dynamics: based on the solution of generalized off-shell transport equations derived from Kadanoff-Baym many-body theory





→ PHSD provides a good description of 'bulk' hadronic observables as well as dilepton spectra from SIS to LHC energies



Light dark photon production in PHSD

Production of hadron \rightarrow decay to U \rightarrow dilepton yield from U-boson decay of mass M_{ii} :

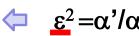
$$\begin{array}{l} \pi^0 \rightarrow \gamma + \textbf{U}, \\ \eta \rightarrow \gamma + \textbf{U}, \ \textbf{U} \rightarrow e^+e^- \\ \Delta \rightarrow N + \textbf{U}, \end{array}$$

$$N^{U \to e^{+}e^{-}} = N_{\pi^{0}}^{U \to e^{+}e^{-}} + N_{\eta}^{U \to e^{+}e^{-}} + N_{\Delta}^{U \to e^{+}e^{-}}$$
$$= Br^{U \to e^{+}e^{-}} (N_{\pi^{0} \to \gamma U} + N_{\eta \to \gamma U} + N_{\Delta \to NU}),$$

$$(N_{\pi^0 \to \gamma U} + N_{\eta \to \gamma U} + N_{\Delta \to N U})$$

$$N_{i\to\gamma U} = N_i B r_{i\to\gamma V} \cdot \frac{\Gamma_{i\to\gamma U}}{\Gamma_{i\to\gamma \gamma}}, \quad i=\pi^0, \eta$$

$$N_{i\to\gamma U} = N_i B r_{i\to\gamma \gamma} \cdot \frac{\Gamma_{i\to\gamma U}}{\Gamma_{i\to\gamma \gamma}}, \quad i=\pi^0, \eta$$



The yield of U-bosons of mass M_{II} :

$$N_{\Delta \to NU} = N_{\Delta} B r_{\Delta \to N\gamma} \cdot \frac{\Gamma_{\Delta \to NU}}{\Gamma_{\Delta \to N\gamma}}.$$

Dalitz decay of π^0 , η mesons and Δ -resonances to U-bosons and real photons or N

Based on the model: (used in the HADES analysis)

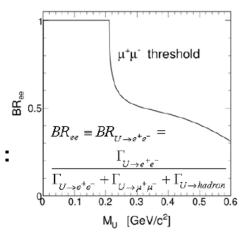
B. Batell, M. Pospelov, and A. Ritz, Phys. Rev. D 79, 115008 (2009); Phys. Rev. D 80,095024 (2009)

Ratio of the partial widths $\pi^0(\eta) \rightarrow \gamma + U$ and $\pi^0(\eta) \rightarrow \gamma + \gamma$:

$$\frac{\Gamma_{i\to\gamma U}}{\Gamma_{i\to\gamma\gamma}} = 2\epsilon^2 |F_i(q^2=M_U^2)| \frac{\lambda^{3/2}(m_i^2,m_\gamma^2,M_U^2)}{\lambda^{3/2}(m_i^2,m_\gamma^2,m_\gamma^2)} \qquad i=\pi^0,\eta$$
 Formfactor

Branching ratio for the decay of U-bosons to e+e-:

$$Br^{U \to ee} = \frac{\Gamma_{U \to e^+e^-}}{\Gamma_{tot}^U} = \frac{1}{1 + \sqrt{1 - \frac{4m_\mu^2}{M_U^2} \left(1 + \frac{2m_\mu^2}{M_U}\right) \left(1 + R(M_U)\right)}} R(\sqrt{s}) = \sigma_{e^+e^- \to hadrons}/\sigma_{e^+e^- \to hadrons}/\sigma_{e^-e^- \to hadrons}/\sigma_{e^-$$





Procedure to obtain constraints on $\varepsilon^2(M_{II})$

1) For each bin $[M_{II}, M_{II} + dM]$ calculate the sum of all $U \rightarrow e+e-$ contributions (kinematically possible in this mass bin)

$$\frac{dN^{sumU}}{dM} = \frac{dN_{\pi^0}^{U \to e^+ e^-}}{dM} + \frac{dN_{\eta}^{U \to e^+ e^-}}{dM} + \frac{dN_{\Delta}^{U \to e^+ e^-}}{dM}$$

2) Calculate the sum of all SM contributions and 'dark matter' (DM) contributions:

$$\frac{dN}{dM}^{total} = \frac{dN}{dM}^{sumSM} + \frac{dN}{dM}^{sumU} = \frac{dN}{dM}^{sumSM} + \epsilon^2 \frac{dN_{\epsilon=1}^{sumU}}{dM}$$

3) Obtain constraints by requesting that dNtotal/dM (SM+DM) cannot exceed the sum of SM channels (i.e. exp. data!) by more than a factor C_{ii} in each bin dM, i.e.

$$\frac{dN}{dM}^{total} = (1 + C_U) \frac{dN}{dM}^{sumSM}$$

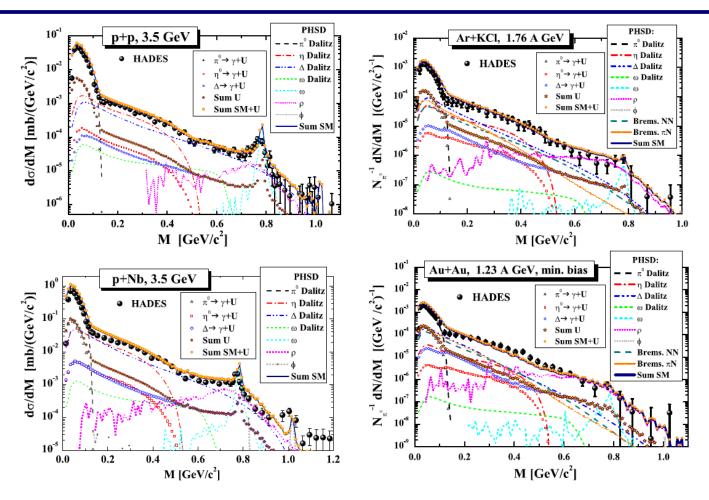
Cu controls the allowed "surplus" dilepton yield $\frac{dN}{dM}^{total} = (1 + C_U) \frac{dN}{dM}^{sumSM}$ resulting from dark photons on top of the total SM yield

4) Calculate $\varepsilon^2(M_U)$ by assuming C_U : e.g. $C_U = 0.1 \rightarrow 10\%$ DM extra yield to the SM yield

$$\epsilon^{2}(M_{U}) = C_{U} \cdot \left(\frac{dN^{sumSM}}{dM}\right) / \left(\frac{dN^{sumU}_{\epsilon=1}}{dM}\right)$$



Dileptons yields including dark photons vs. HADES data

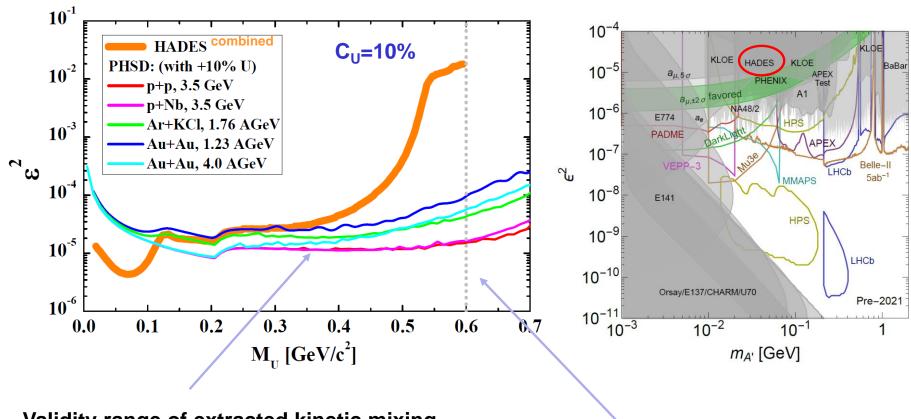


- The HADES data, i.e. SM contributions (including exp. acceptance) are well described by the PHSD
- The contributions from U→e+e- are added with C_U=10% allowed surplus of the total SM yield → the total sum is still in a good agreement with exp. data



Mixing parameter $\varepsilon^2(M_U)$

The upper limit for the kinetic mixing parameter $\varepsilon^2(M_U)$ of light dark photons extracted from the PHSD dilepton spectra - with 10% allowed surplus of the total SM yield



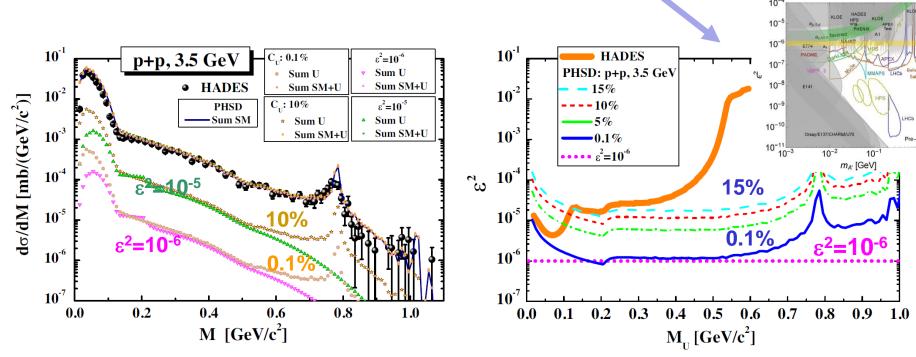
Validity range of extracted kinetic mixing parameter: $0 < M_U < 0.6$ GeV based on low energy dilepton spectra

Possible contribution from other dark photon channels



Limits for the mixing parameter $\varepsilon^2(M_U)$

The PHSD predictions for $\varepsilon^2(M_U)$ with 0.1%, 5%, 10%, and 15% allowed surplus of the U-boson contributions over the total SM yield



The theoretically extracted upper limit of the kinetic mixing parameter $\varepsilon^2(M_U)$ of light dark photons from Dalitz decays of π^0,η mesons and Δ -resonances:

- strongly reduces by lowering the allowed ,surplus'
- \rightarrow exp. data of high precision is needed to reduce the upper limit for $\epsilon^2(M_U)$



Summary

- We presented first microscopic transport calculations, based on the PHSD approach, for the dilepton yield from the decay of hypothetical dark photons (or U-bosons), U→e+e- from p + p, p + A and heavy-ion collisions at SIS energies
- □ For that we incorporated in the PHSD the production of U-bosons by the Dalitz decay $\pi^0 \rightarrow \gamma + U$, $\eta \rightarrow \gamma + U$, $\Delta \rightarrow N + U$ with further dilepton decays $U \rightarrow e^+e^-$ based on the theoretical model by Batell, Pospelov and Ritz, which describes the interaction of DM and SM particles by the U(1)-U(1)' mixing
- We introduced a procedure to define theoretical constraints on the upper limit of the kinetic mixing parameter ε²(M_U):
 Since dark photons are not observed in dilepton experiments so far, we can require that their contribution can not exceed some limit which would make them visible in experimental data
- □ We found that the extracted upper limit of $ε^2(M_U)$ is consistent with the experimental results of the HADES experiment for 0.15 < M_U < 0.4 GeV, as well as with the world-wide experimental compilation
- → Proposed theoretical procedure allows:
- to check any theoretical ideas on the $\varepsilon^2(M_U)$ independent on exp. data
- to study the influence of exp. acceptance, system and centrality selection
- to perform the simulation for testing experimental set-ups for the search of U-bosons