

# The Magnetic reconnection model for blazar emission



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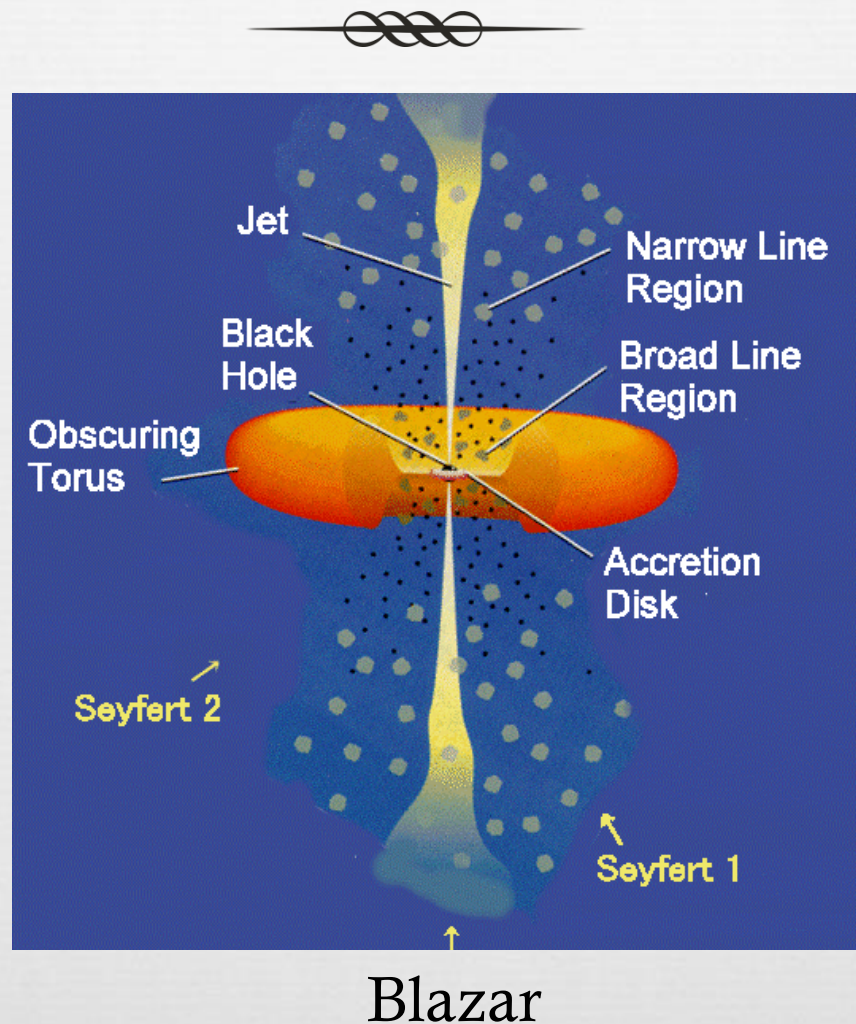
Collaborators: Maria Petropoulou, Lorenzo Sironi, Ian Christie

*TeVPA*

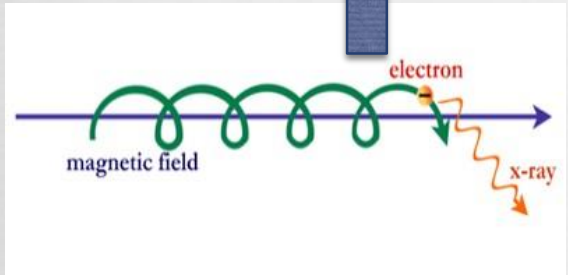
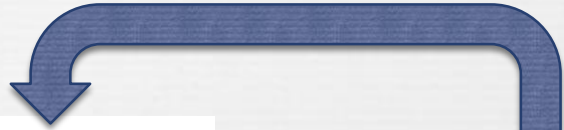
Columbus, OH, August 10, 2017

# Blazars:

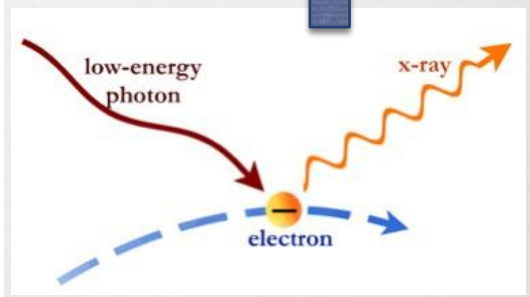
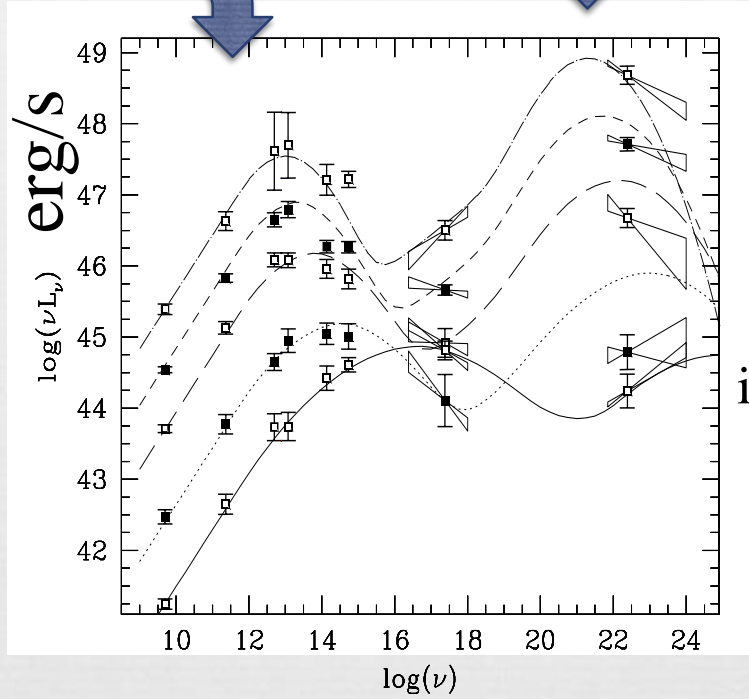
## Jets in AGN moving towards us



# Blazars: bright at all frequencies



synchrotron



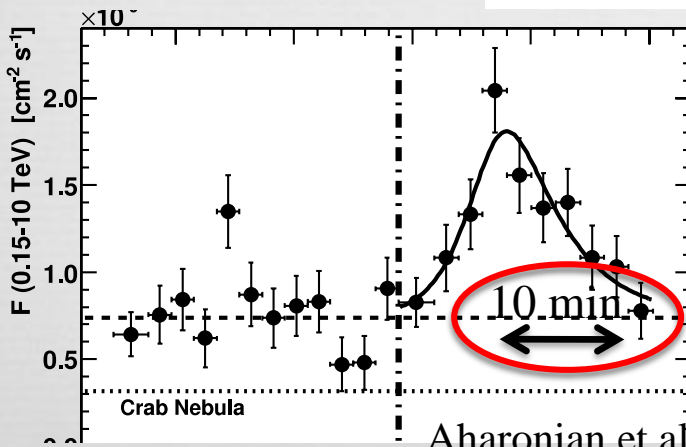
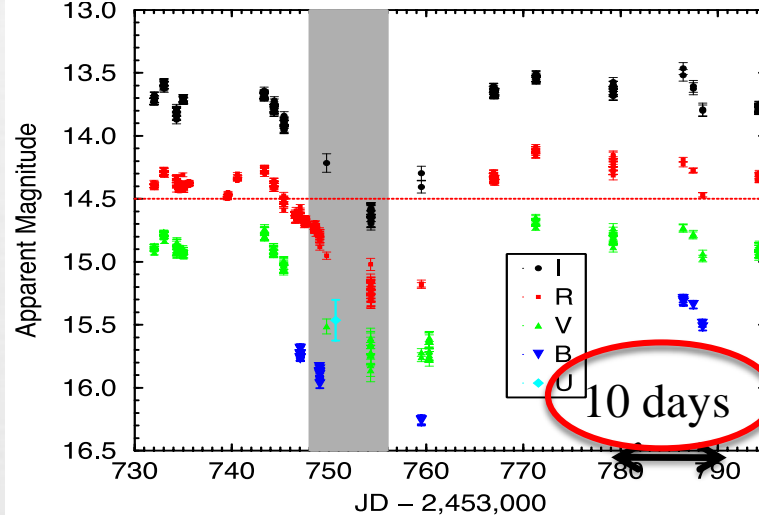
inverse Compton scattering

e.g., Fossati et al. 1998

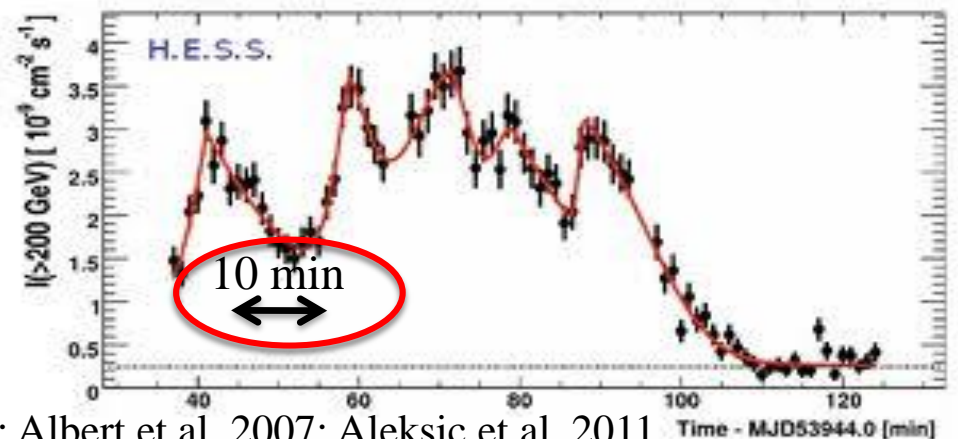
# Blazars flaring from weeks down to ~5 minutes!



3C279; e.g., Collmar et al. 2007



Aharonian et al. 2007; Albert et al. 2007; Aleksic et al. 2011



# Basic **Observed**/inferred properties of blazars



Effective particle accelerators up to multi TeV energies, *at least*

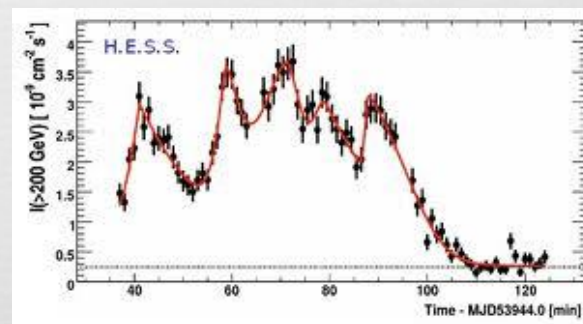
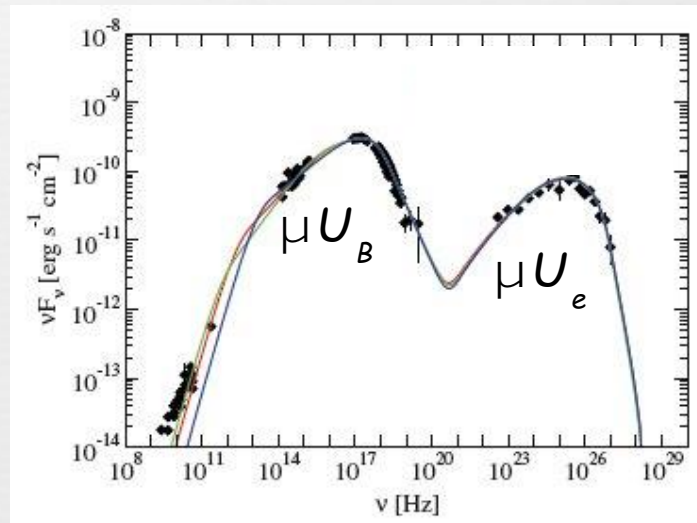
Efficient radiators  $\sim 10\%$  radiative efficiency or more!

Radiating particles and magnetic field in, very rough, equipartition:

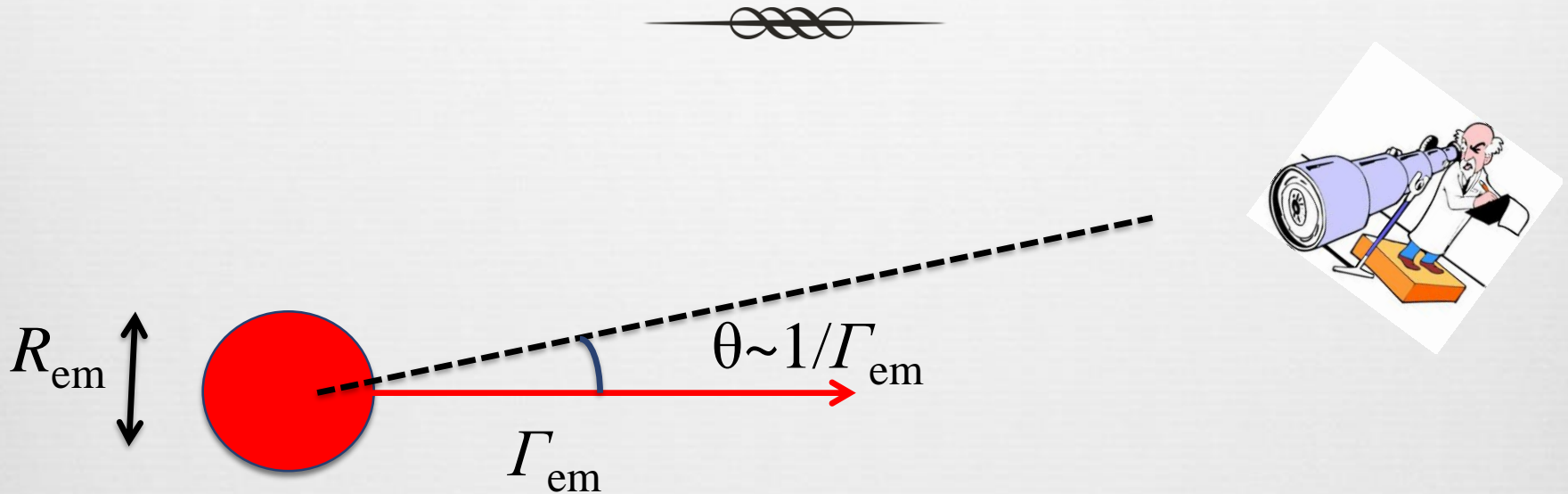
$$U_e \sim U_B$$

Extreme variability variable  $t_{\text{var}} \ll R_g/c$  in some cases!

SSC model fit of the spectral energy distribution of Mrk 421



# Source of blazar flares: “Blobs” of energetic $e^-$ and $B$ fields



$$R_{em} \lesssim d c t_{flare} \sim 5 \times 10^{14} d_{50} t_{300} \text{ cm}$$

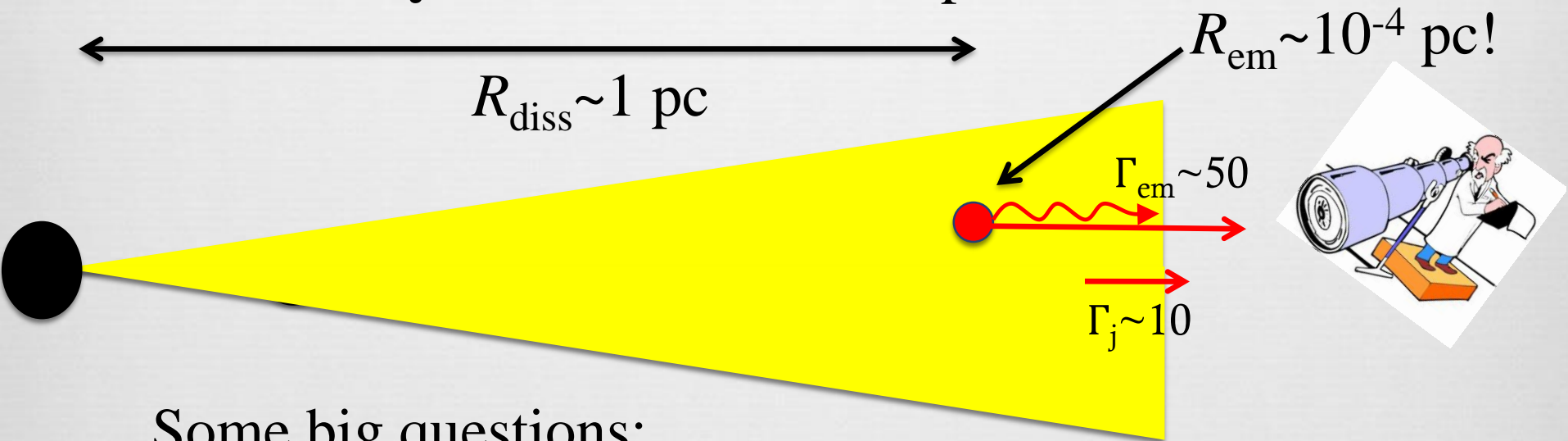
$$\text{Doppler factor } \delta = [\Gamma_{em} (1 - \beta_{em} \cos \theta)]^{-1} \sim \Gamma_{em}$$

$$\text{Notation: } d = 50 d_{50}, \quad t = 300 t_{300} s$$

# Stringent requirements for emitting region



Emitter must be **very compact** and **extremely fast** and form at  $\sim 1$  pc distance!

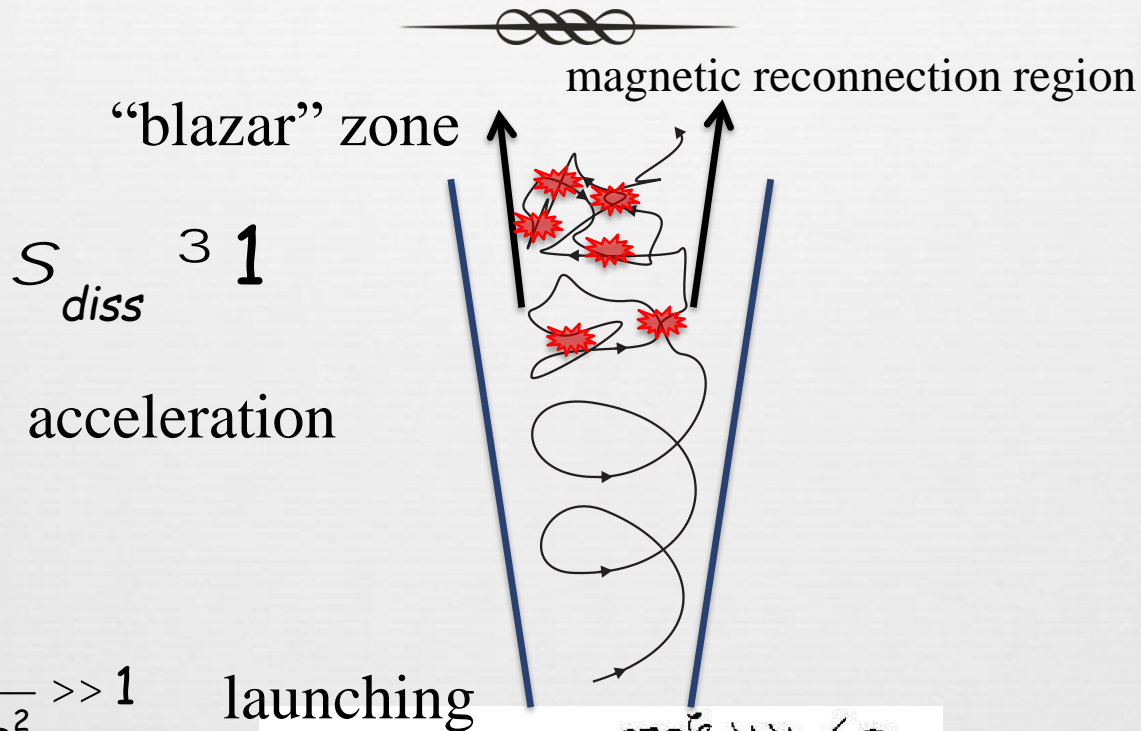


Some big questions:

*Which process accelerates the particles that radiate?*

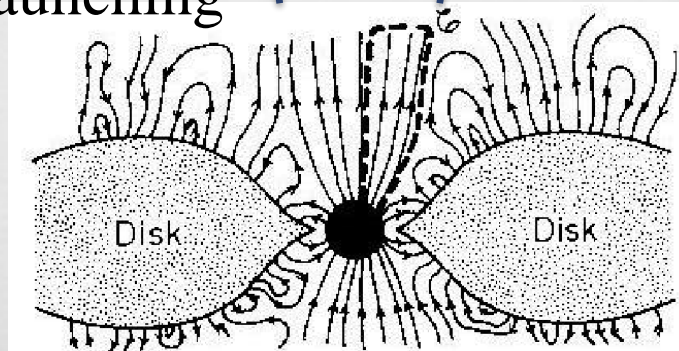
*What determines the distance & size/shape of the emitting region?*

# A theory view of jets



$$S_{initial} = \frac{B^2}{4\pi c^2} \gg 1$$

- Blandford & Znajek 1977
- Begelman & Li 1992
- Meier et al. 2001
- Koide et al. 2001
- Komissarov, Lyubarky,
- McKinney, Tchekhovskoy...



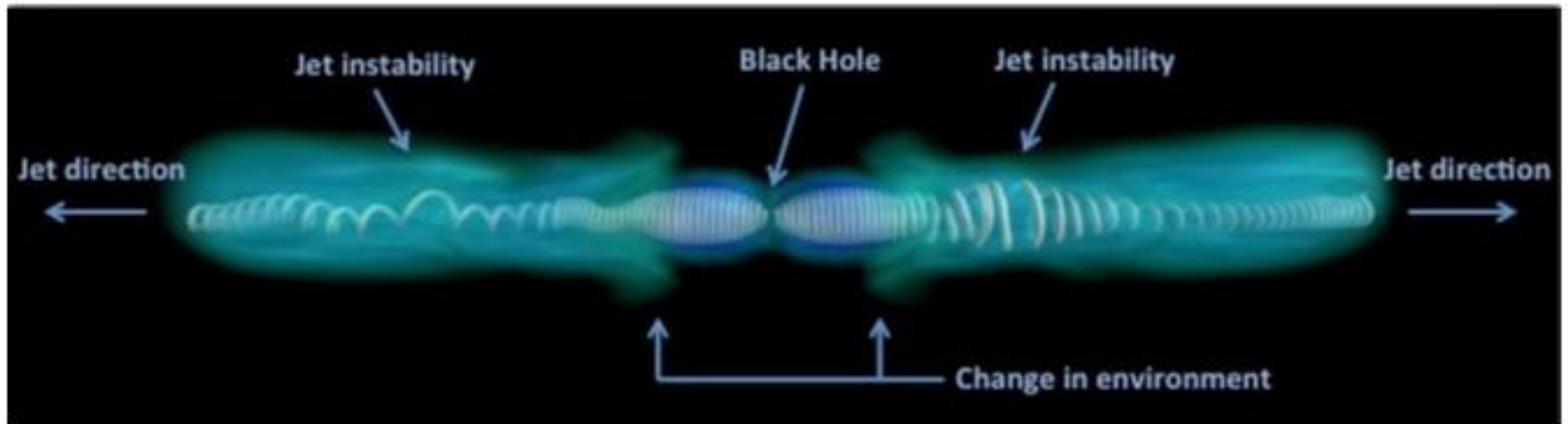


# Magnetic reconnection due to MHD instabilities in jets



## Magnetized jets may be prone to the kink instability

Eichler 1993; Begelman 1998; Nakamura & Meier 2004; Giannios & Spruit 2006; Moll 2009; McKinney & Blandford 2009; Mignone et al. 2010; Porth & Komissarov 2015



Barniol-Duran, Tchekhovskoy & Giannic



kink instability

# A very promising dissipative mechanism: Magnetic Reconnection

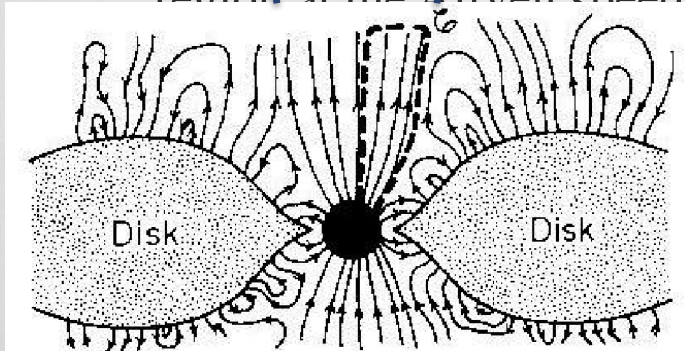
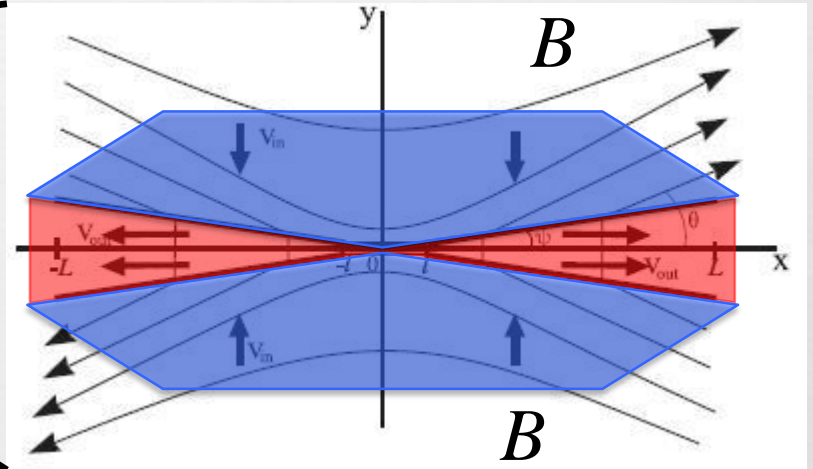


blazar zone

☞ An efficient converter of magnetic energy into bulk motion, heat, energetic particles

☞ cold, magnetized plasma enters the reconnection region

☞ plasma leaves the reconnection region at the Alfvén speed



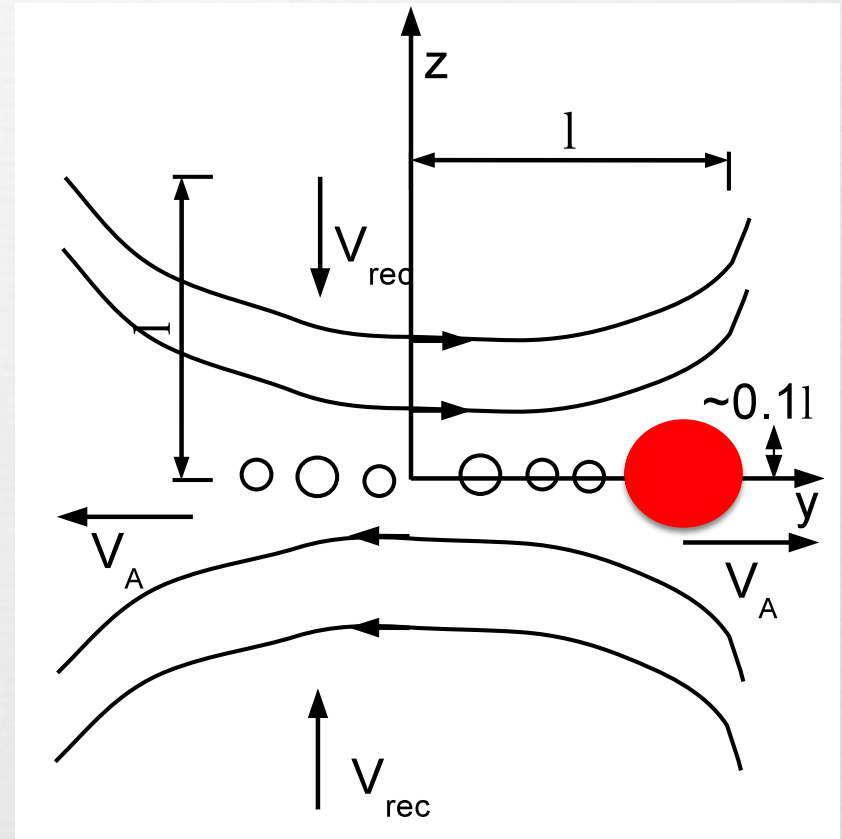
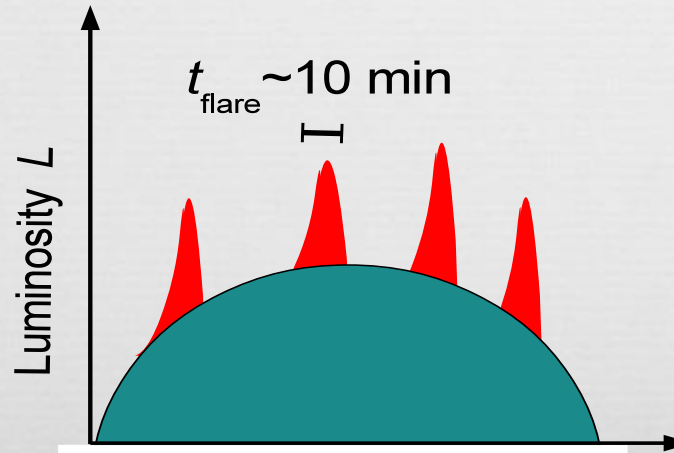
ions  
particles

# Reconnection Plasmoids = Blazar Blobs?

Giannios et al. 2009; 2010; Giannios 2013

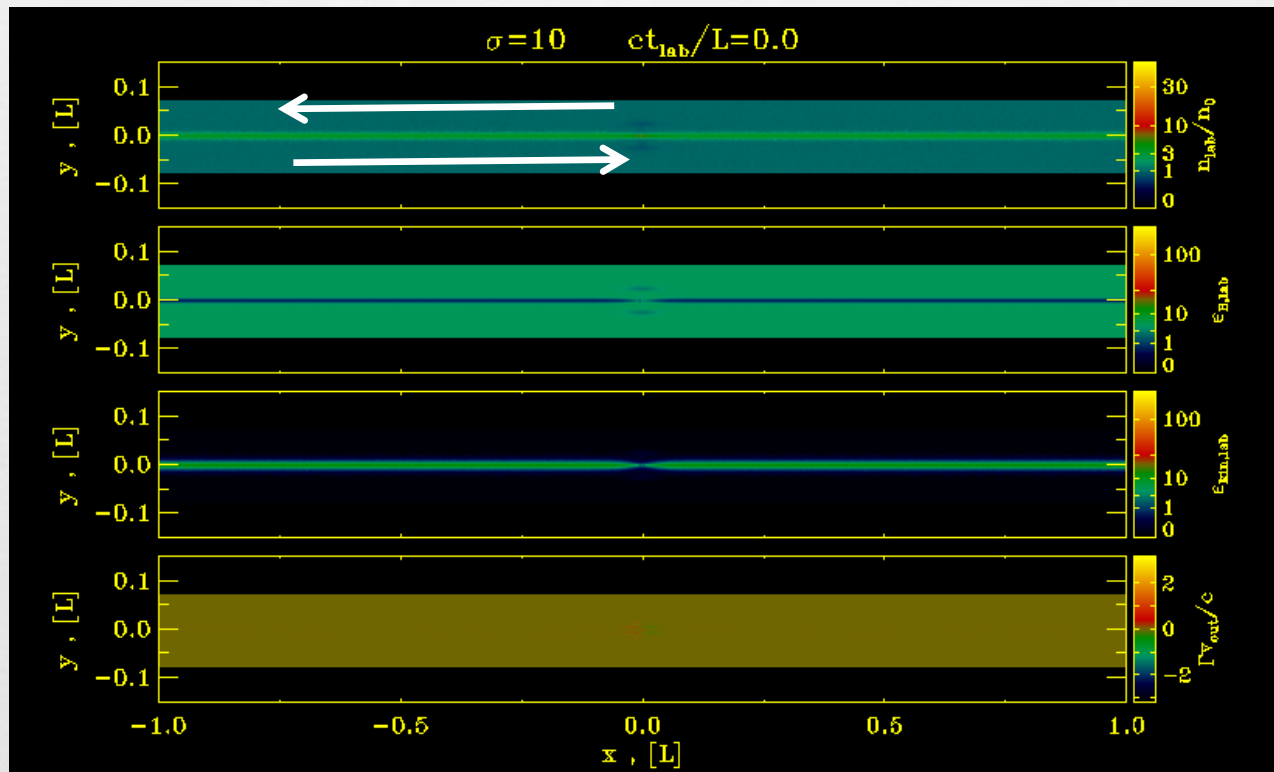


- Current sheet fragments to plasmoids Loureiro et al. 2007; Uzdensky et al. 2010; Loureiro et al. 2012+++
- Plasmoids merge/grow fast leaving the layer at  $V_A \sim c$
- Large plasmoids can power blazar flares Giannios 2013



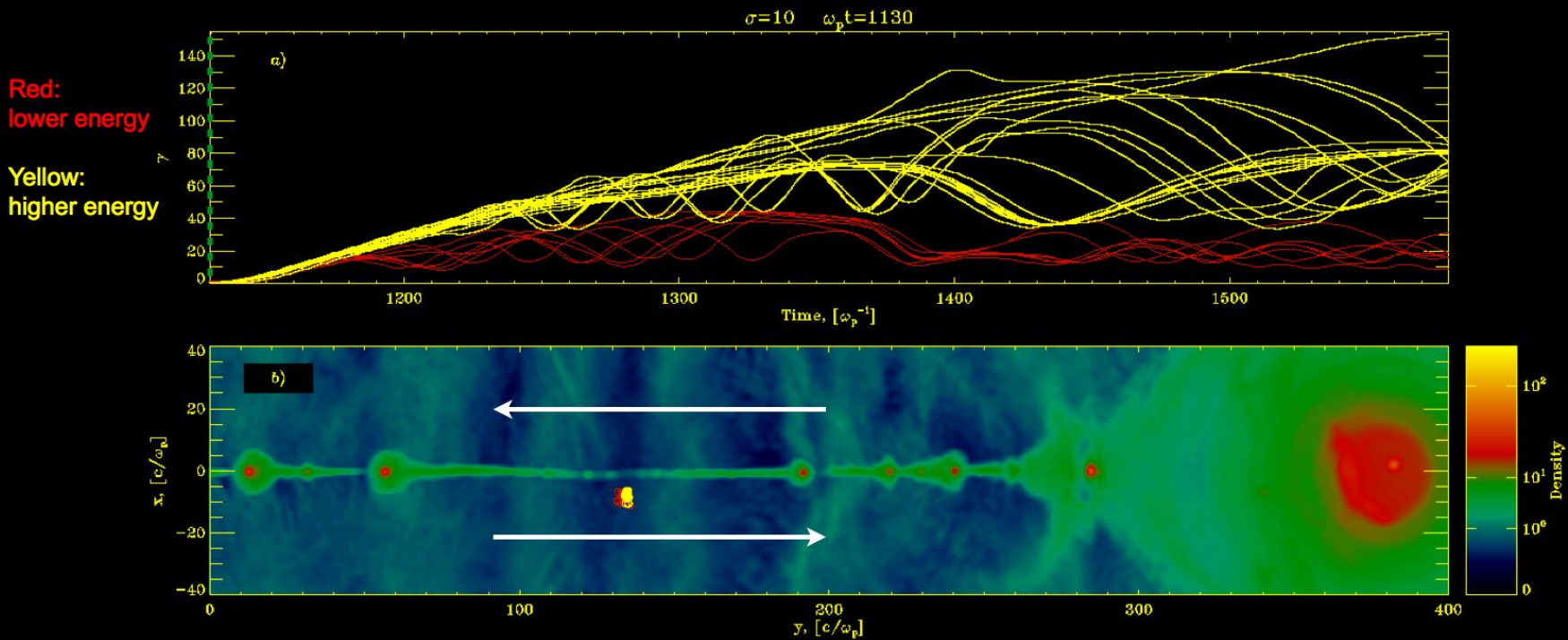
# Magnetic reconnection from first-principle simulations

Sironi & Spitkovsky 2014; Sironi, Petropoulou & Giannios 2015;  
Sironi, Giannios & Petropoulou 2016; Petropoulou, Giannios & Sironi 2016



# Particle acceleration from first principle simulations

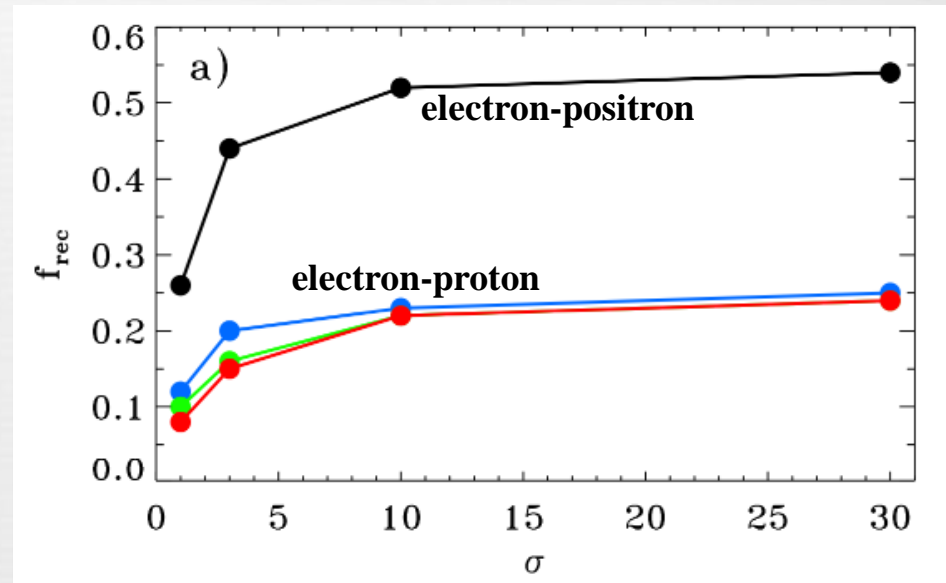
Sironi, Petropoulou & Giannios 2015



# (1) Relativistic reconnection is efficient



$$f_{\text{rec}} \equiv \frac{\sum_i \int_{V_i} U_e dV_i}{\sum_i \int_{V_i} (e + \rho c^2 + U_B) dV_i}$$



(Sironi, Petropoulou, Giannios 15)

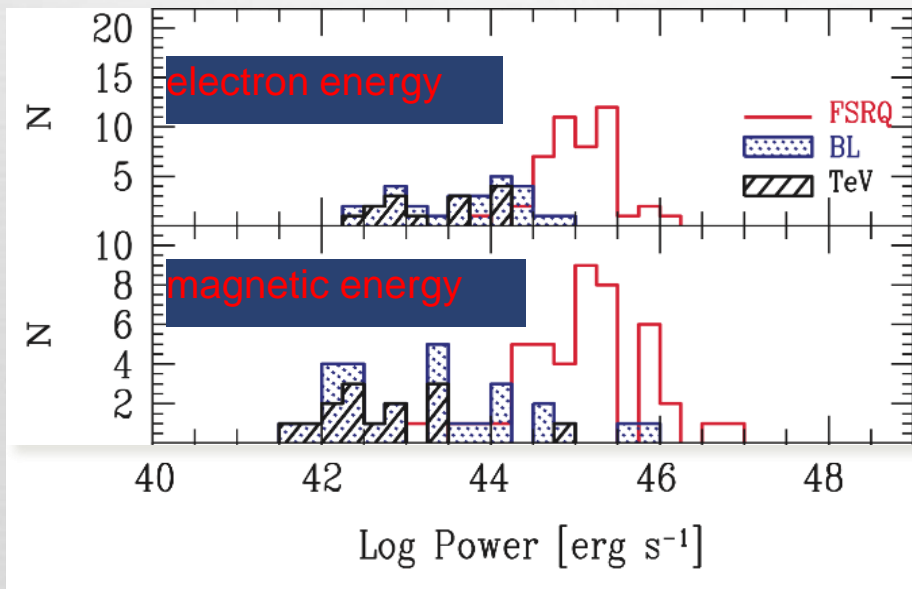
Relativistic reconnection:

✓ it transfers ~ 50% of the flow energy (electron-positron plasmas) or ~ 25% (electron-proton) to the emitting particles

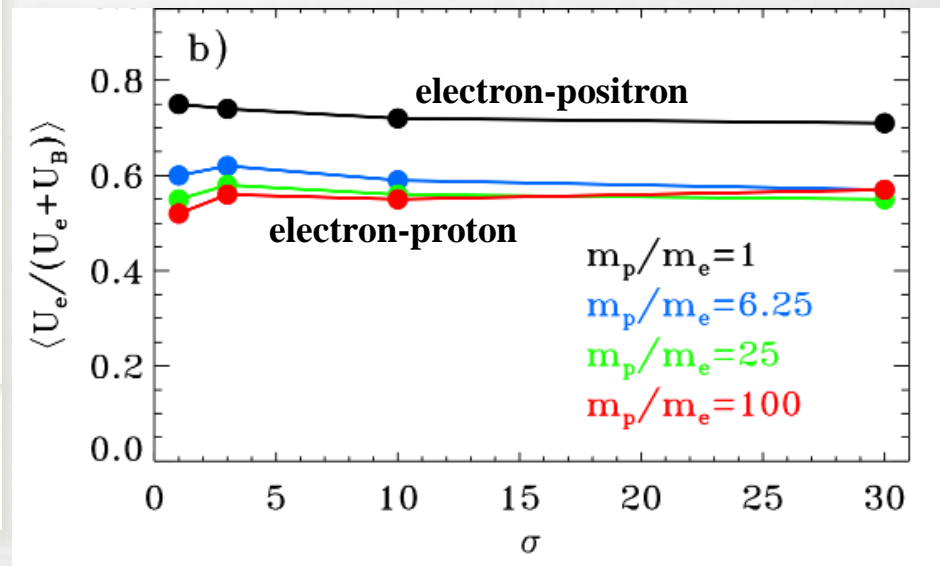
## (2) Equipartition of particles and fields



$$\left\langle \frac{U_e}{U_e + U_B} \right\rangle \equiv \frac{\sum_i \int_{V_i} U_e \frac{U_e}{U_e + U_B} dV_i}{\sum_i \int_{V_i} U_e dV_i}$$



(Celotti+ 08)



(Sironi, Petropoulou & Giannios 2015)

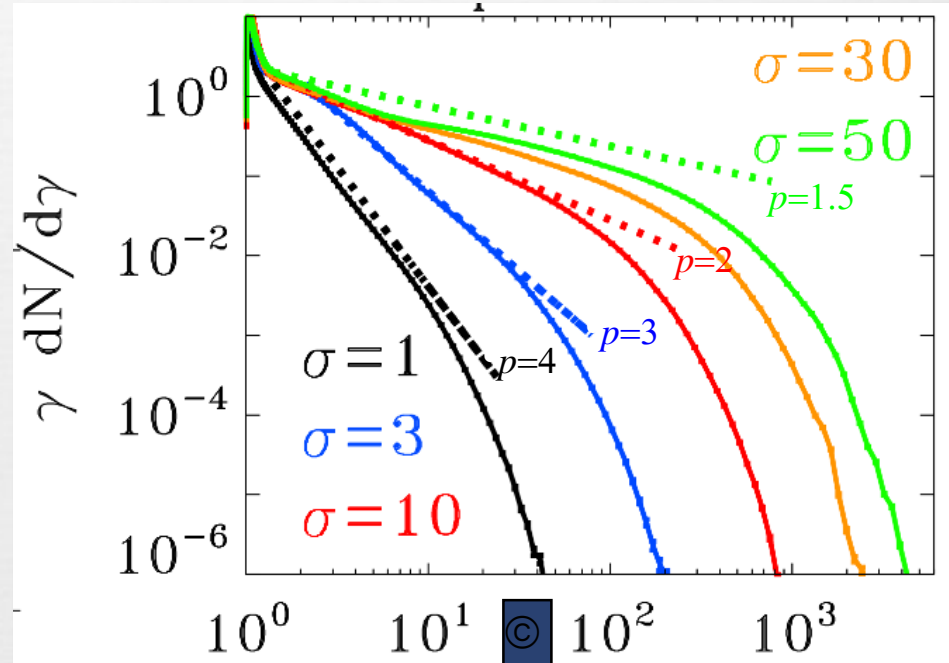
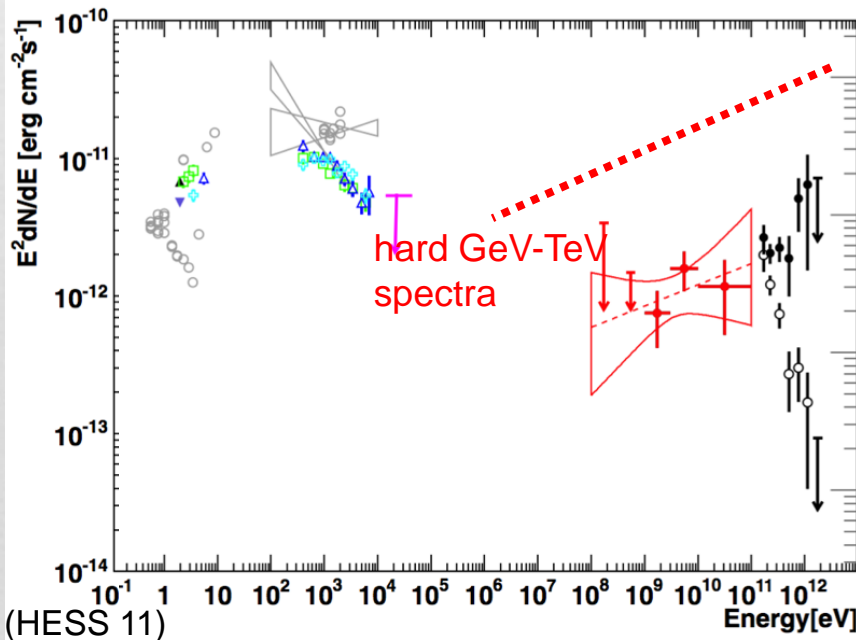
### Blazar phenomenology:

- rough energy equipartition between emitting particles and magnetic field

### Relativistic reconnection:

- ✓ in the magnetic islands, it naturally results in rough energy equipartition between particles and magnetic field

# (3) Extended non-thermal distributions



(Sironi & Spitkovsky 14, Guo et al. 14, Werner et al. 14)

Blazar phenomenology:

- extended power-law distributions of the emitting particles, with hard slope

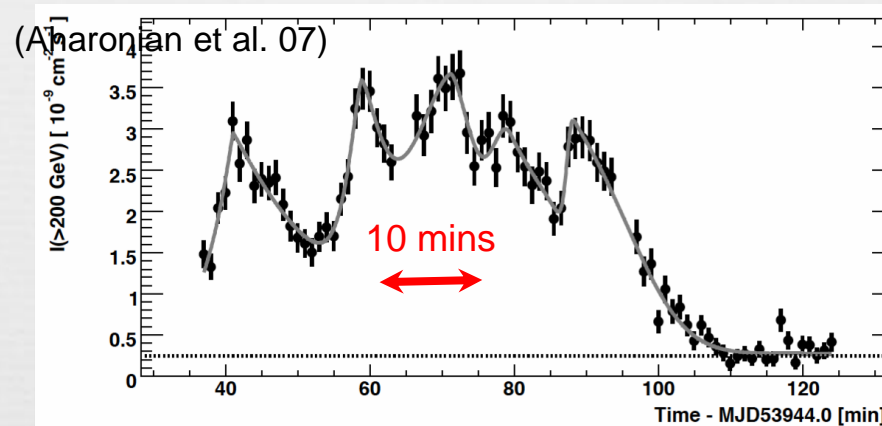
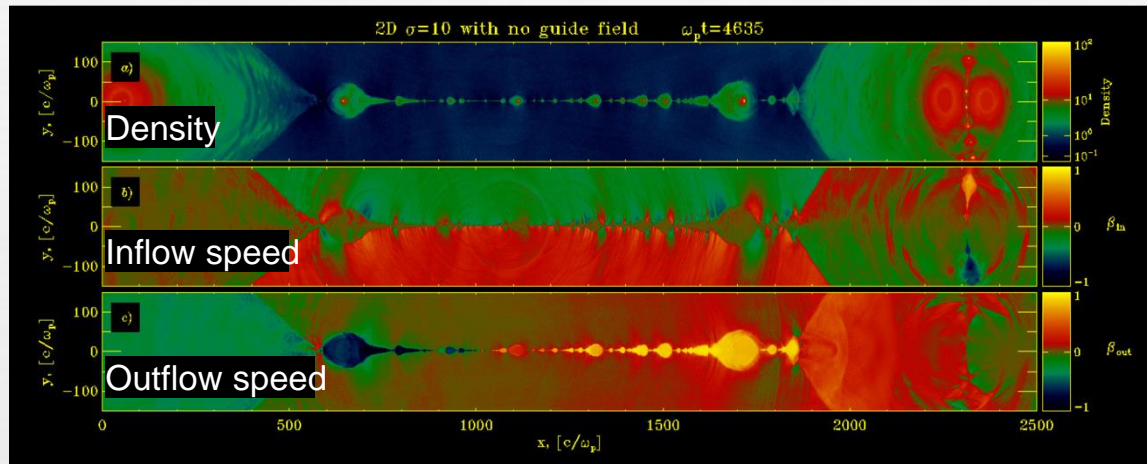
$$\frac{dN}{dg} \propto g^{-p}, \quad p \in 2$$

Relativistic reconnection:

- ✓ it produces extended non-thermal tails of accelerated particles, power-law slope can be harder than  $p=2$



# (4) Extreme temporal variability?

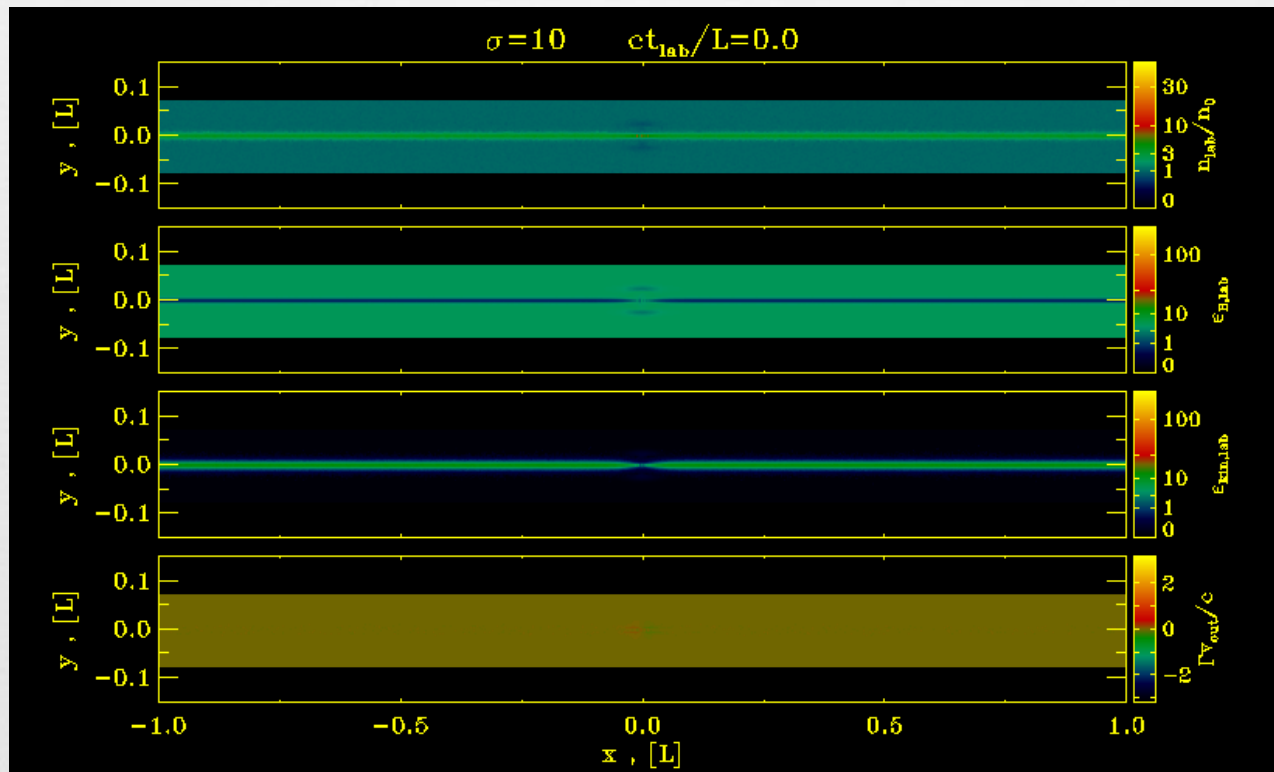


Blazar phenomenology:

- at TeV energies, fast ( $\sim 10$  minutes) flares on a high-state envelope lasting for  $\sim$ days

# From first principle simulations to lightcurves

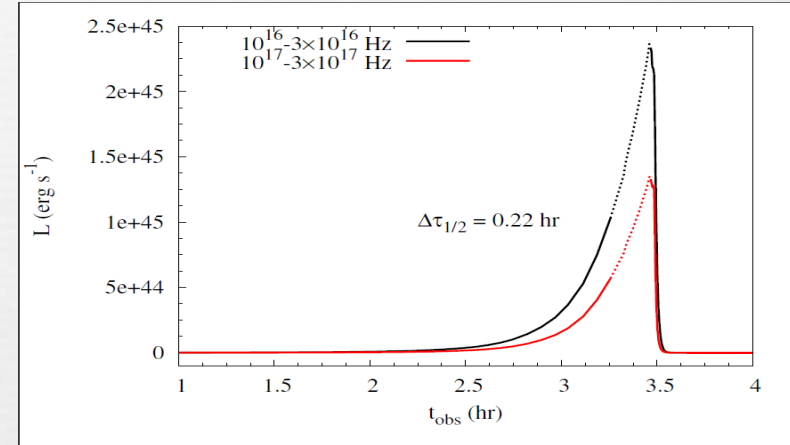
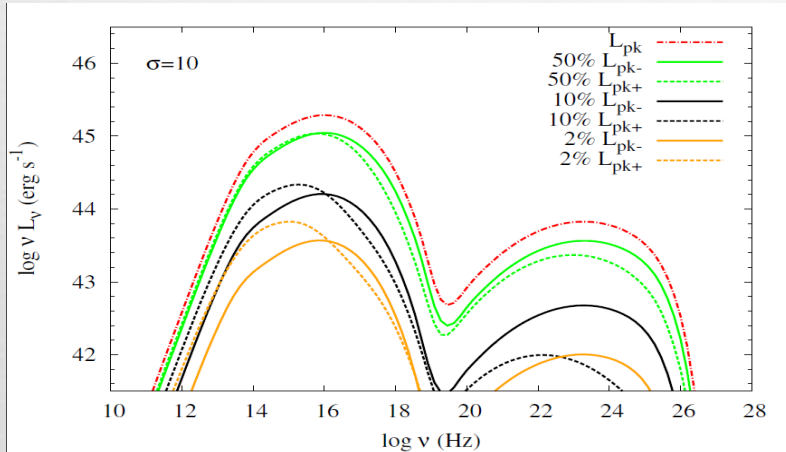
Sironi, Giannios & Petropoulou 2016



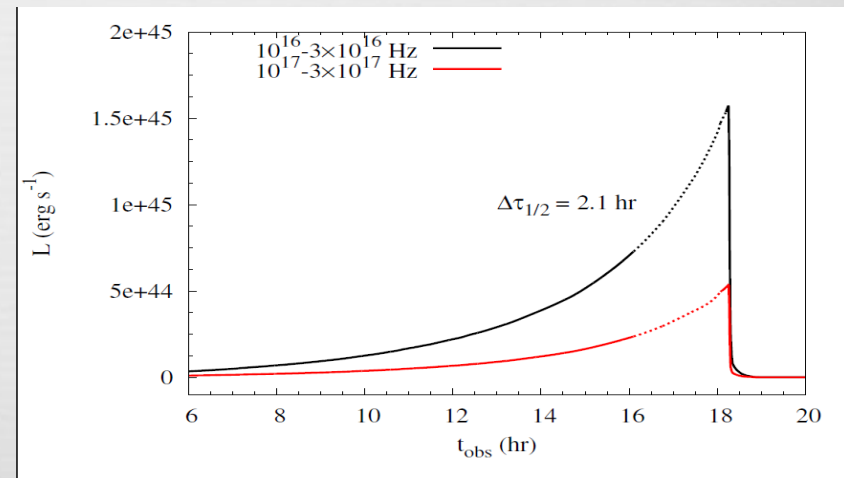
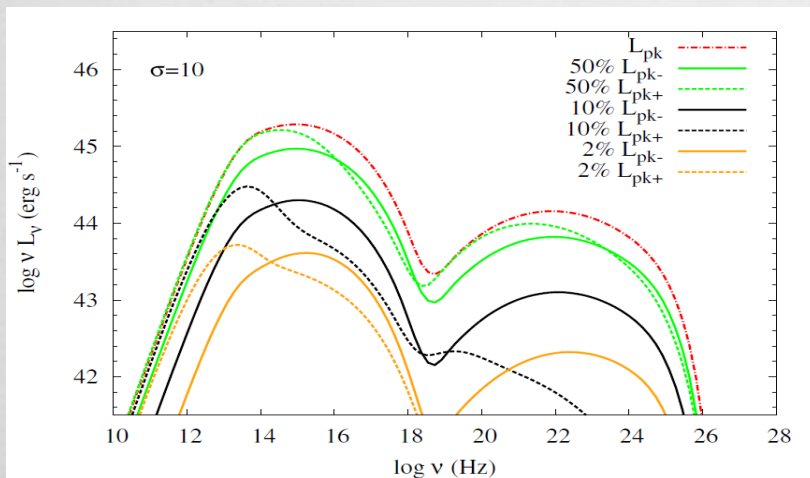
# From simulations to lightcurve: Single Plasmoid

Petropoulou, Giannios & Sironi 2016

## Small & Fast Plasmoid



## Large & Slow plasmoid

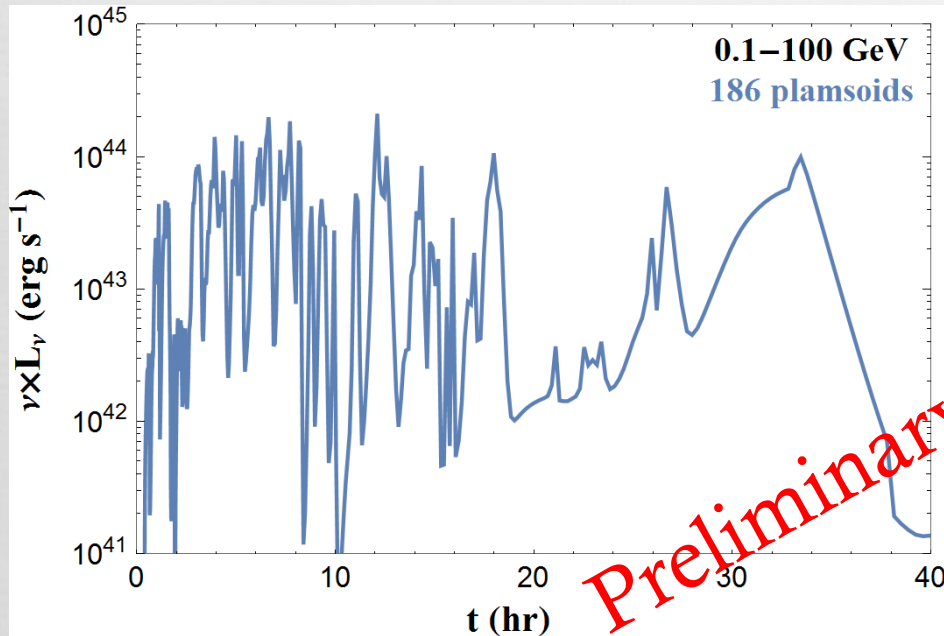


# From simulations to lightcurve: the whole reconnection layer

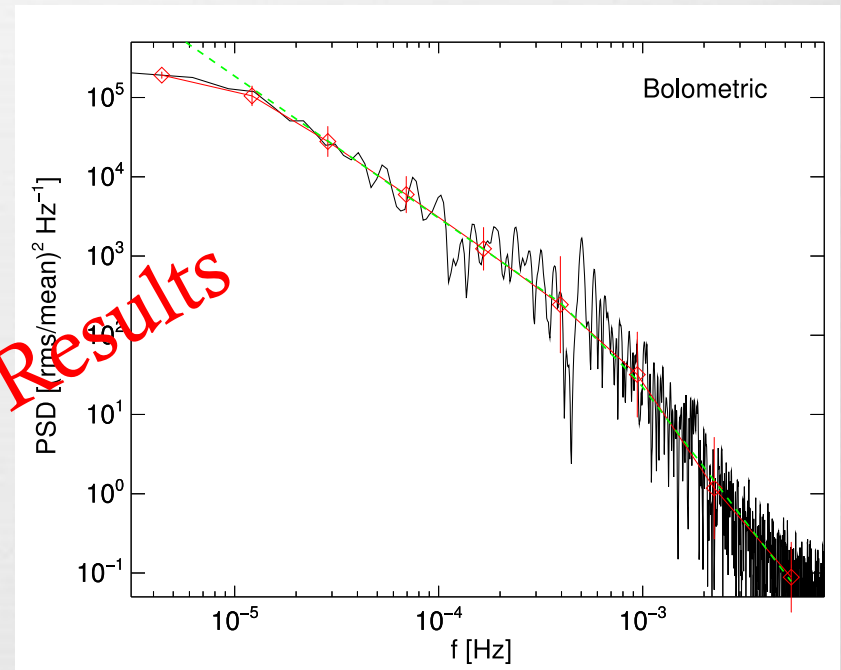
Christie et al., in prep.



## Light curve



## Power Density Spectrum

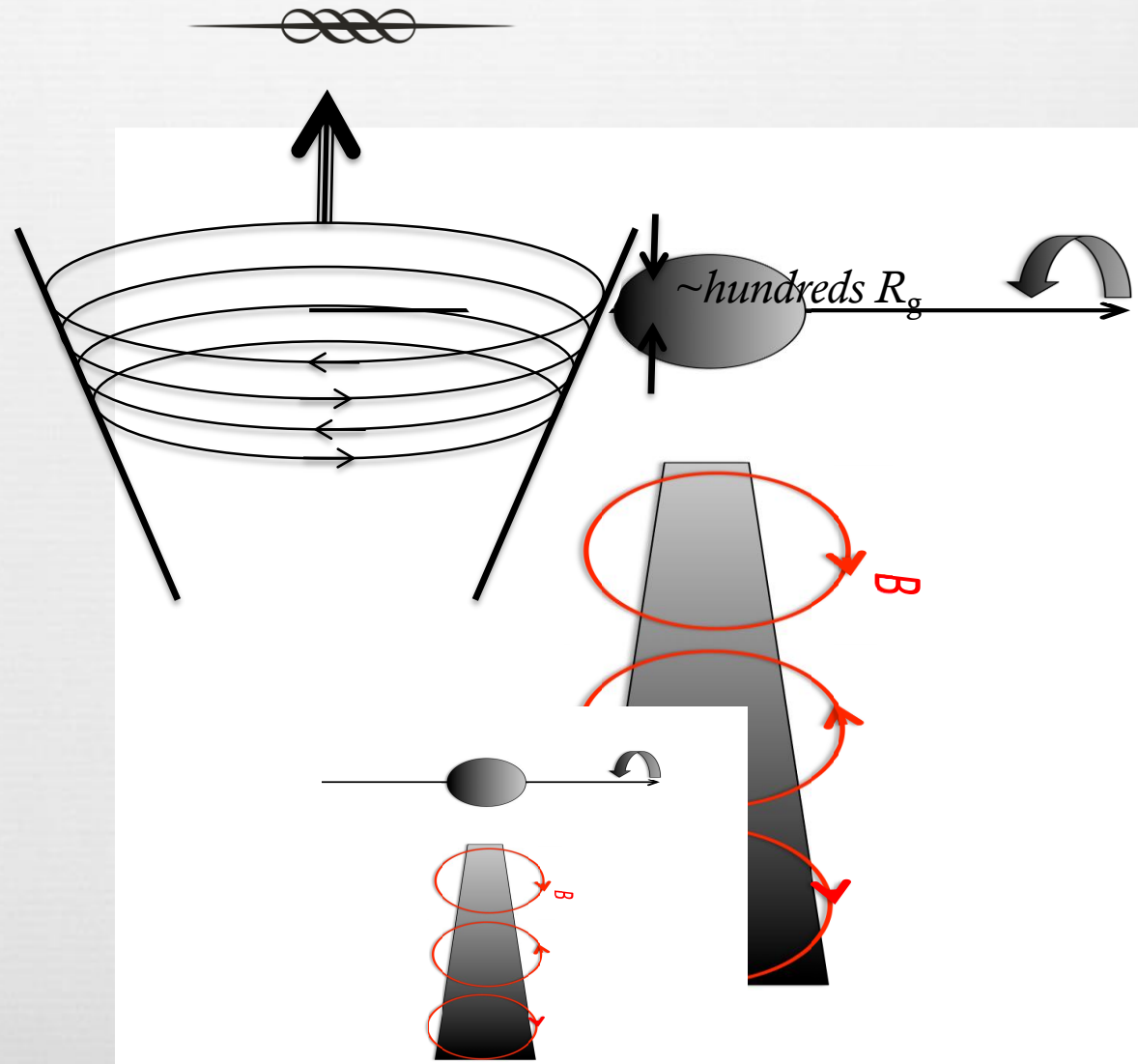


# Concluding



- ❖ Jets are observed to be efficient particle accelerators, highly variable
- ❖ Magnetic reconnection can produce fast variability, efficient particle acceleration, equipartition conditions
  - ❖ Blazar “blobs” = reconnection plasmoids ?
- ❖ Lots of work left
  - ❖ Connection to the large-scale jet
  - ❖ long wavelength emission (larger scales)
  - ❖ polarization (radio through gamma-rays)

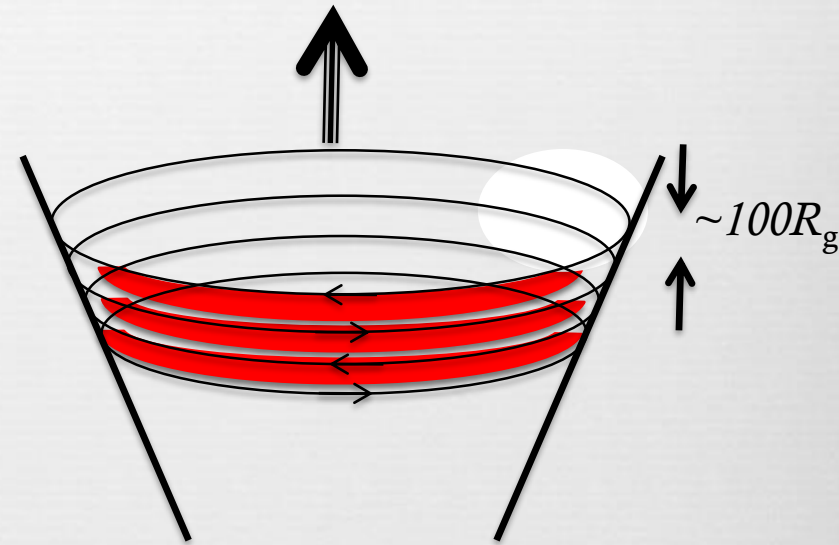
# Large-scale jet and emission



# Magnetic reconnection in the jet



- ∞ Jet may contain field reversals on small scale  $\sim 100 R_g$
- ∞ magnetic-reconnection becomes effective when



$$t_{\text{exp}} \sim t_{\text{rec}}$$

where  $v_{\text{rec}} = \epsilon c$

$$r_{\text{diss}} / G_j c \sim 100 G_j R_g / \epsilon c$$

$$r_{\text{diss}} \sim G_j^2 100 R_g / \epsilon \sim 1 M_8 G_{j,10}^2 \epsilon^{-1} \text{ pc}$$