

SEARCHING FOR DARK MATTER IN DISTANT GALAXIES

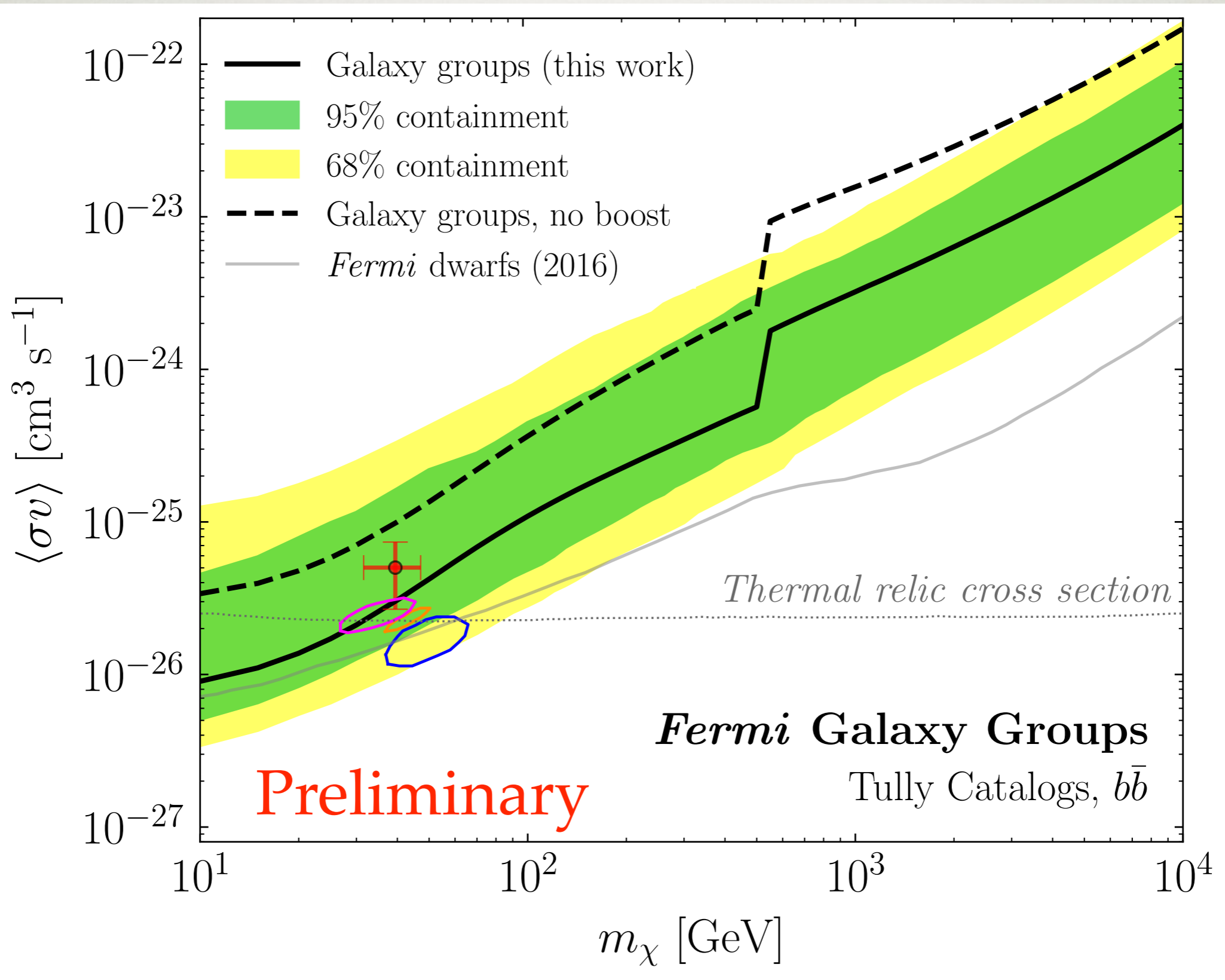


NICK RODD

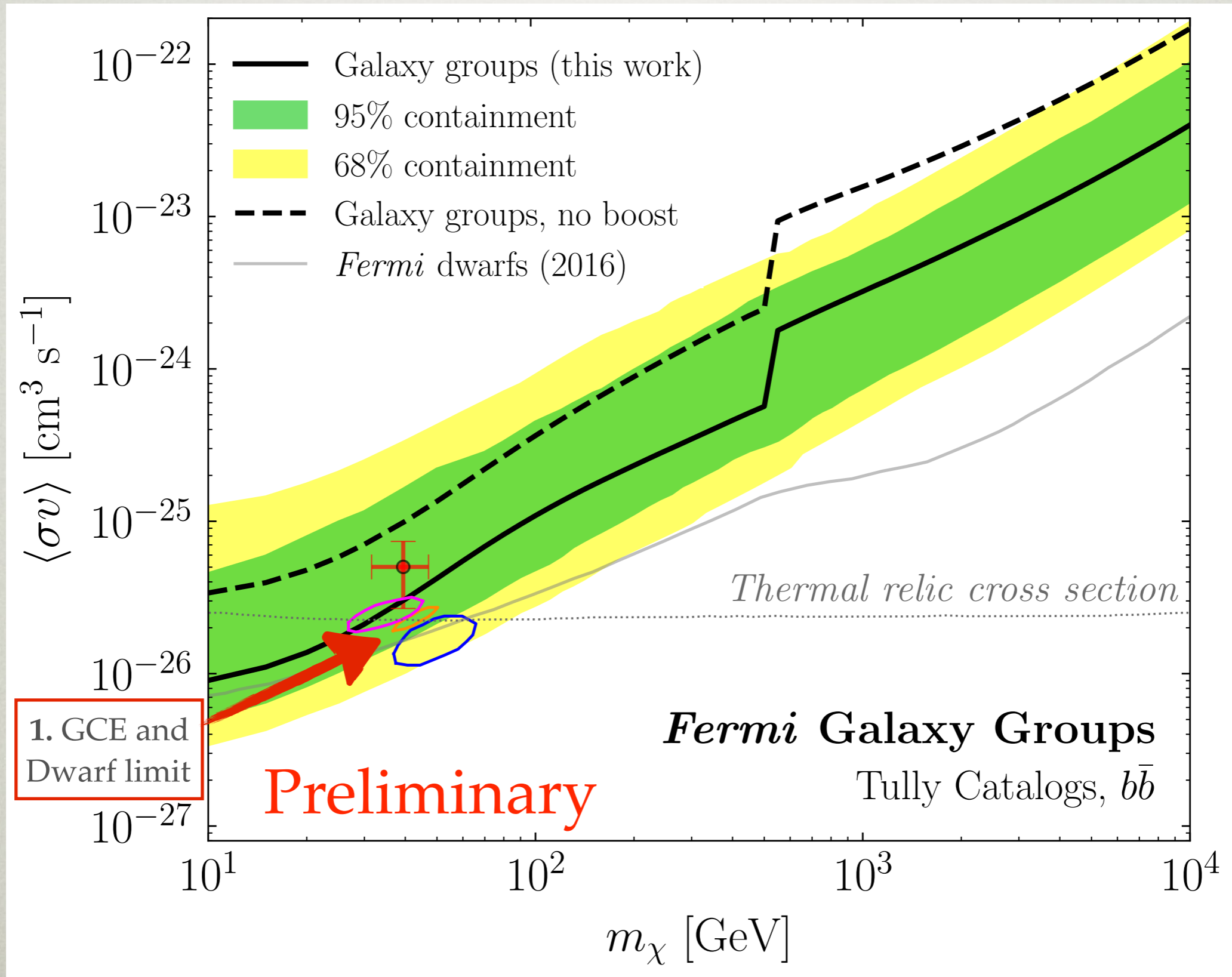
TO APPEAR (VERY SOON!) W/ MARIANGELA LISANTI,
SIDDHARTH MISHRA-SHARMA, AND BEN SAFDI

TEVPA
9 AUGUST 2017

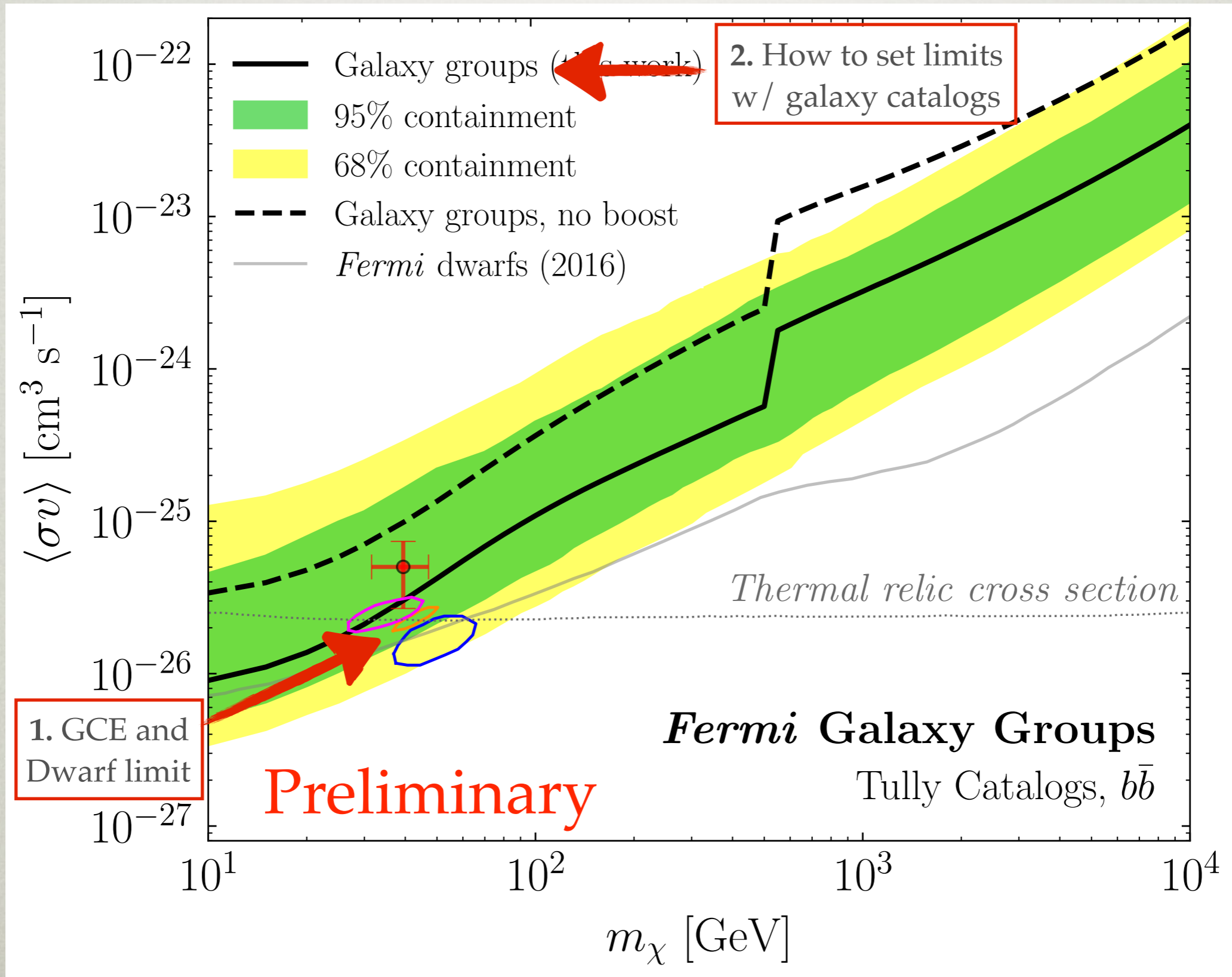
OUTLINE



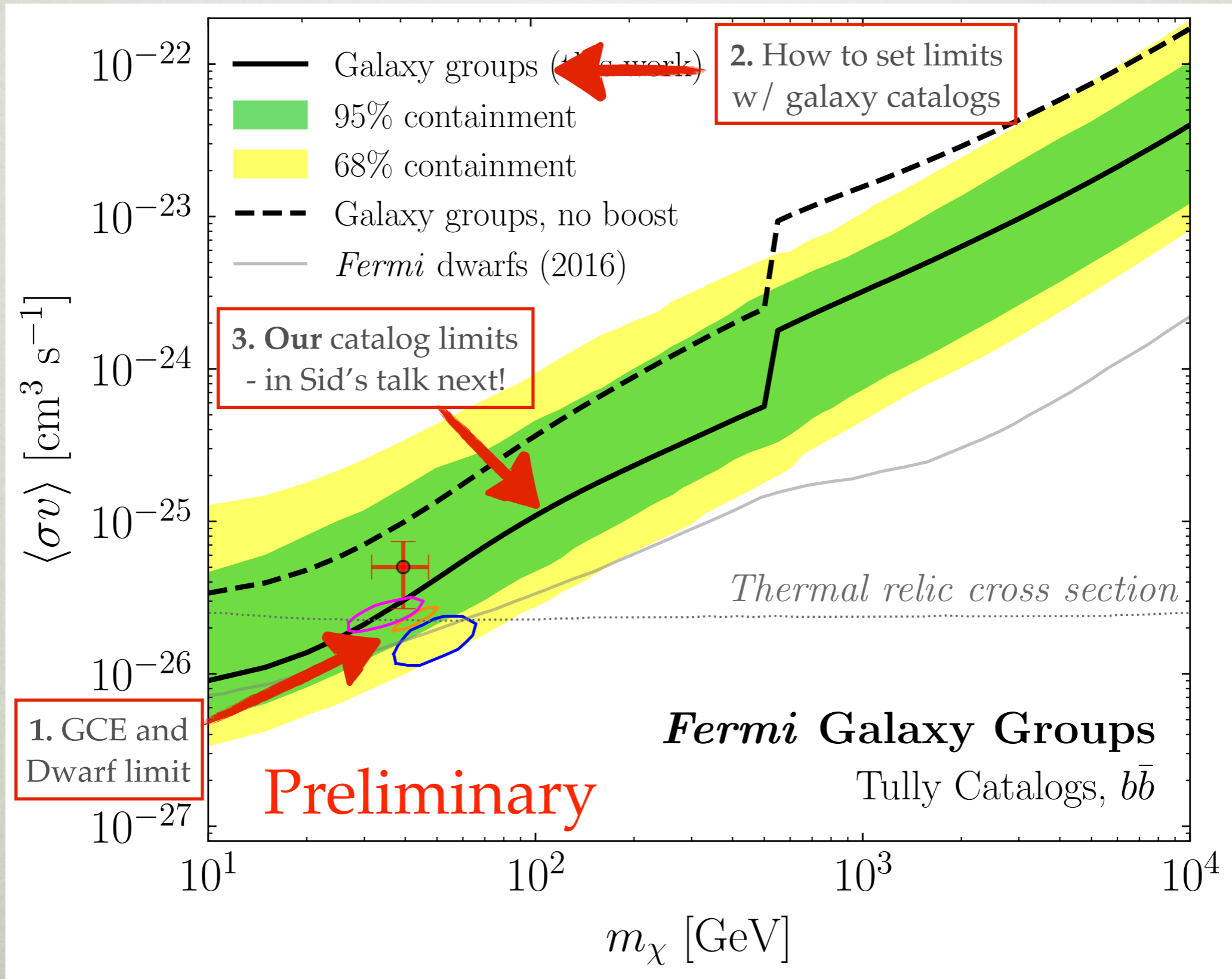
OUTLINE



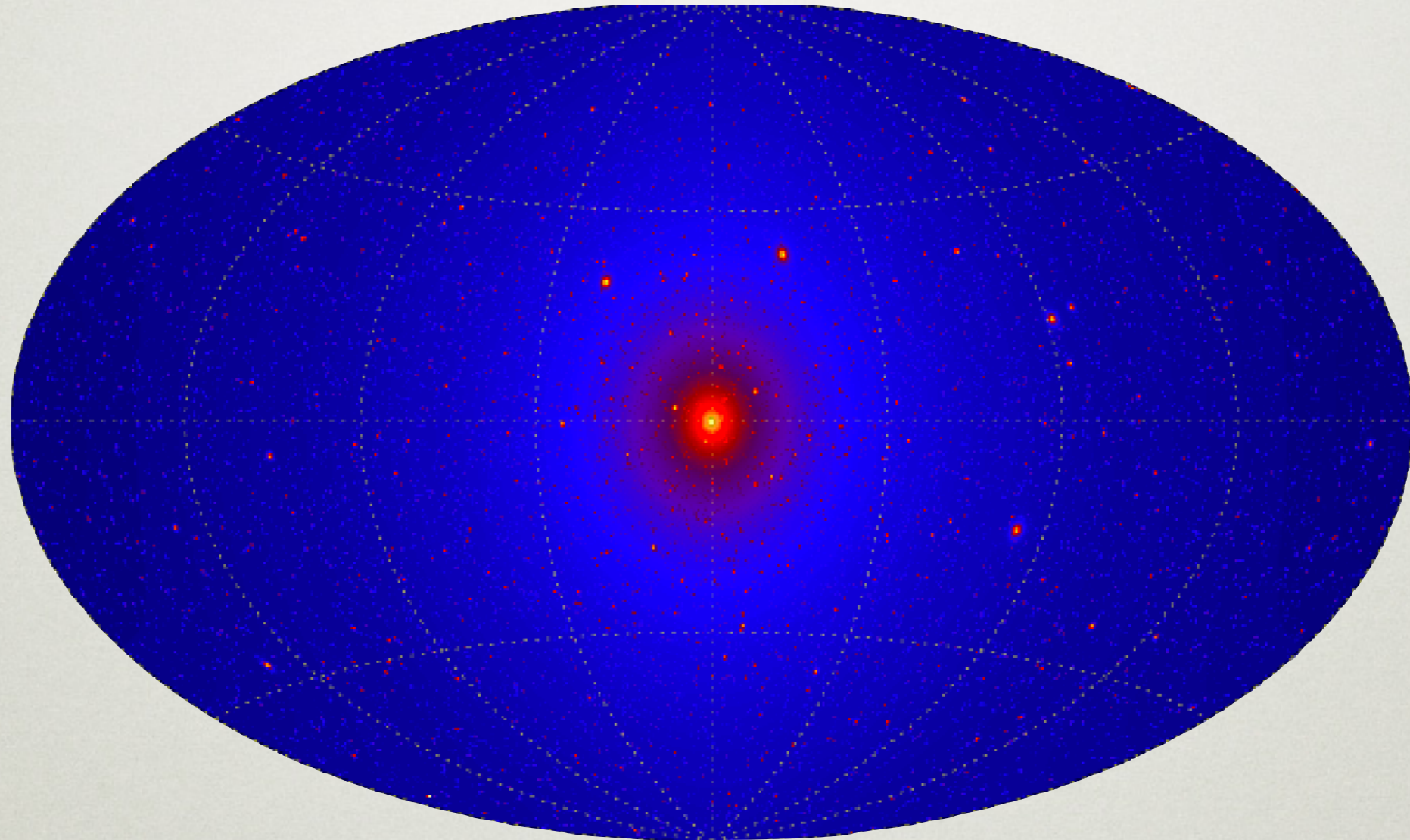
OUTLINE



OUTLINE



WHERE SHOULD WE LOOK?

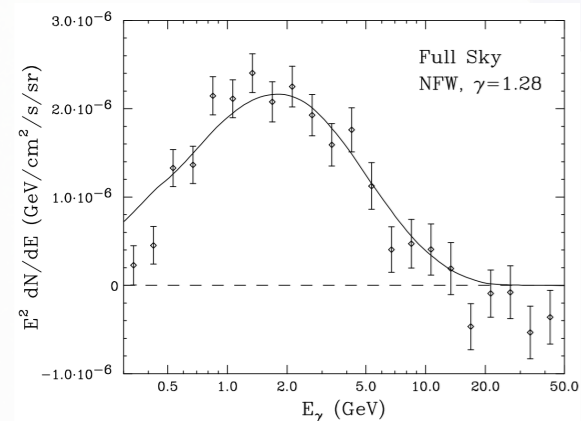
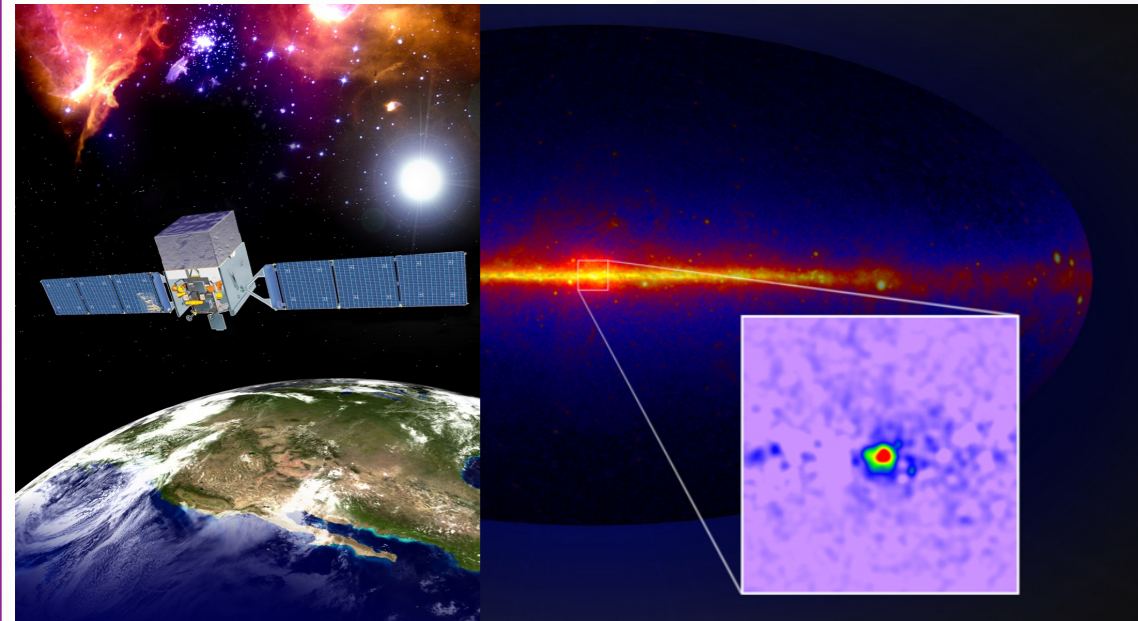


$$\Phi_{\text{DM}} \propto J \sim \int ds \rho^2$$

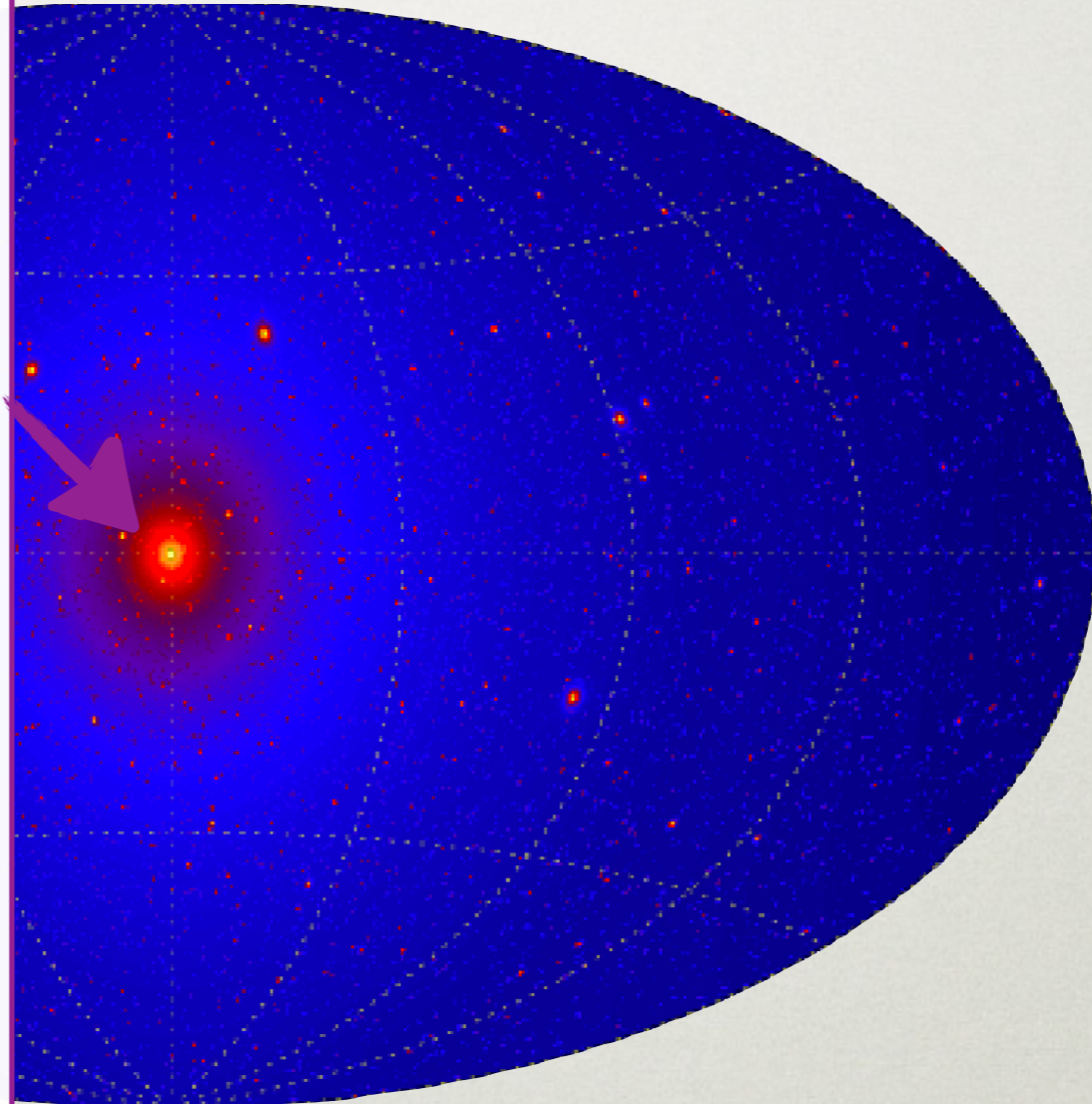
WHERE SHOULD WE LOOK?

GALACTIC CENTER

- Bright but significant backgrounds
- An excess in the data!



NR et al (1402.6703)
 See also NR et al
 (1604.01026) and many
 more!

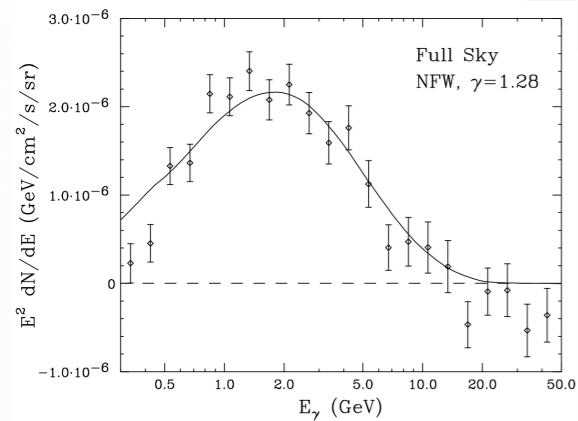
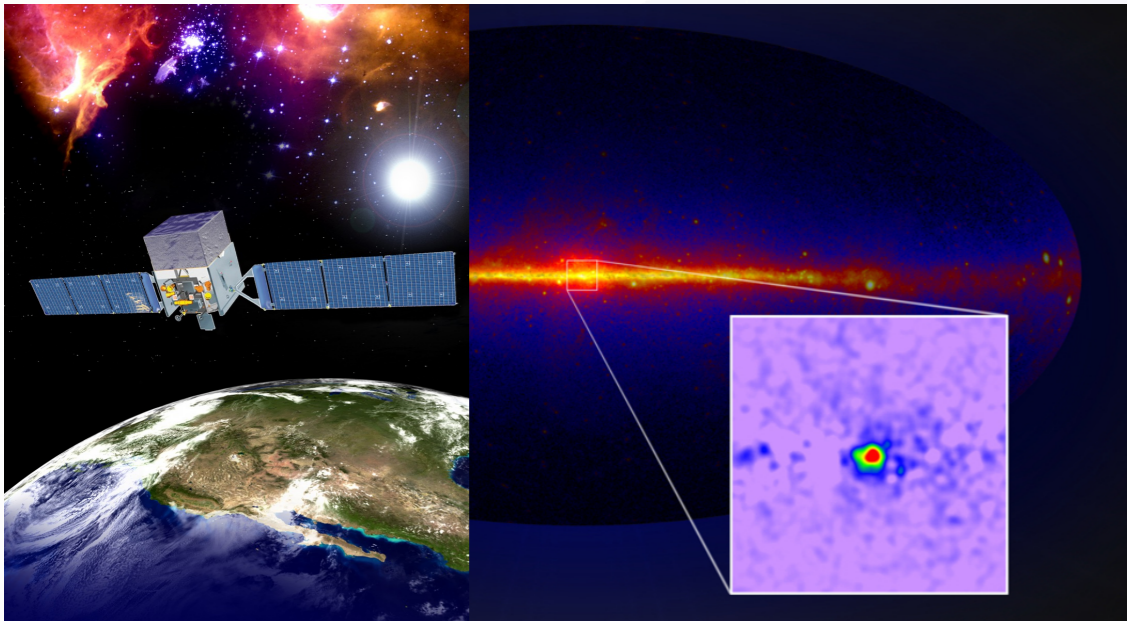


$$\Phi_{\text{DM}} \propto J \sim \int ds \rho^2$$

WHERE SHOULD WE LOOK?

GALACTIC CENTER

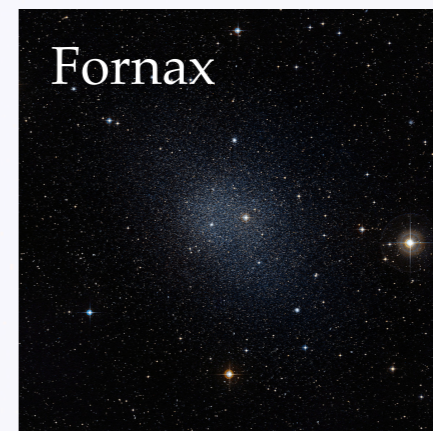
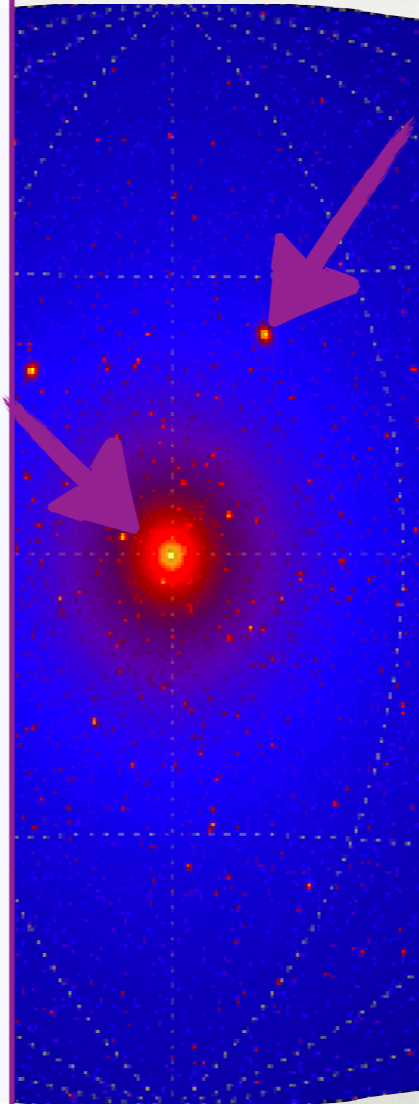
- Bright but significant backgrounds
- An excess in the data!



NR et al (1402.6703)
See also NR et al (1604.01026) and many more!

MILKY WAY DWARFS

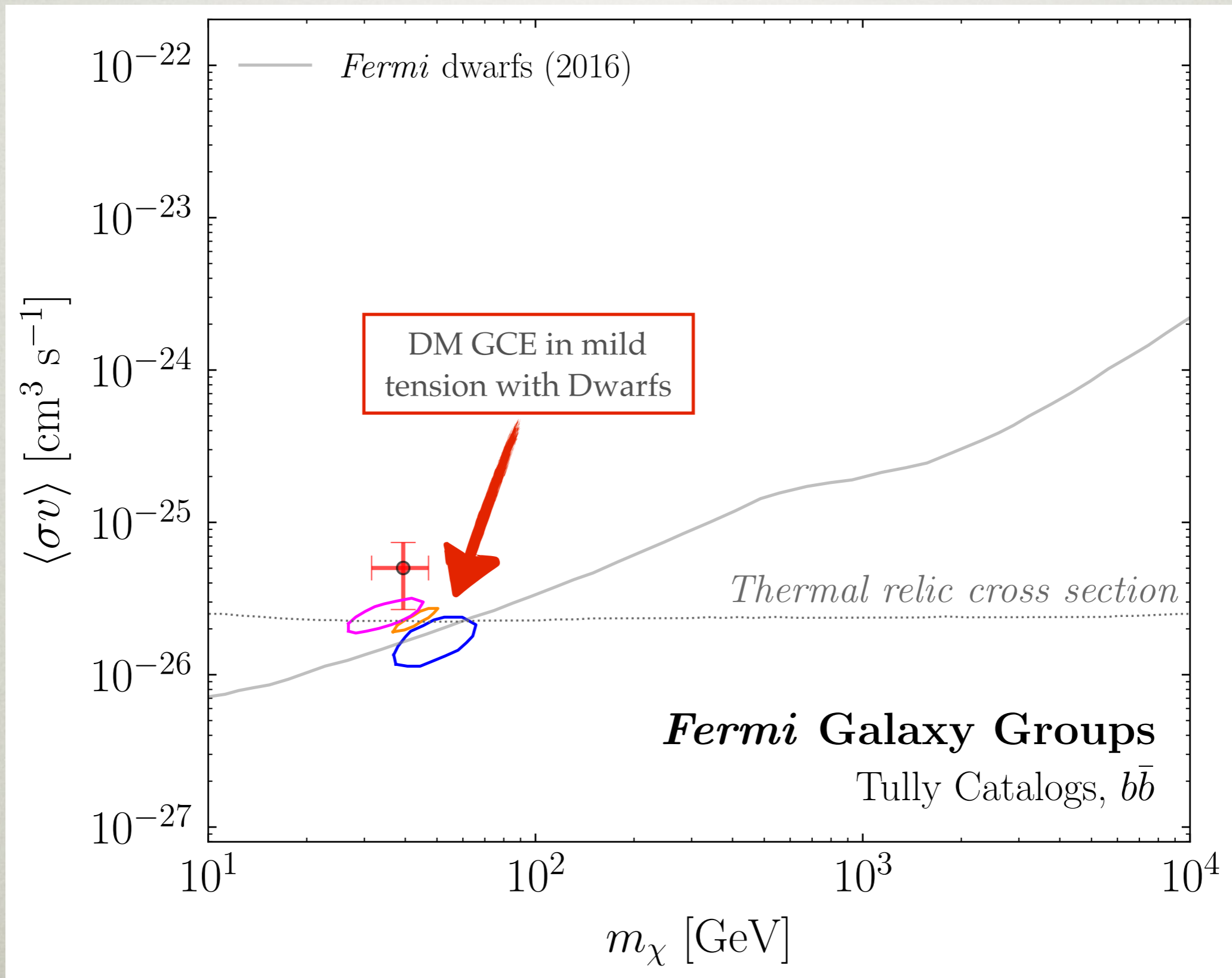
- Dim but low backgrounds
- Many discovered recently!



See Fermi-LAT Collaboration: 1310.0828, 1503.02641, 1611.03184

$$\Phi_{\text{DM}} \propto J \sim \int ds \rho^2$$

WHERE SHOULD WE LOOK?



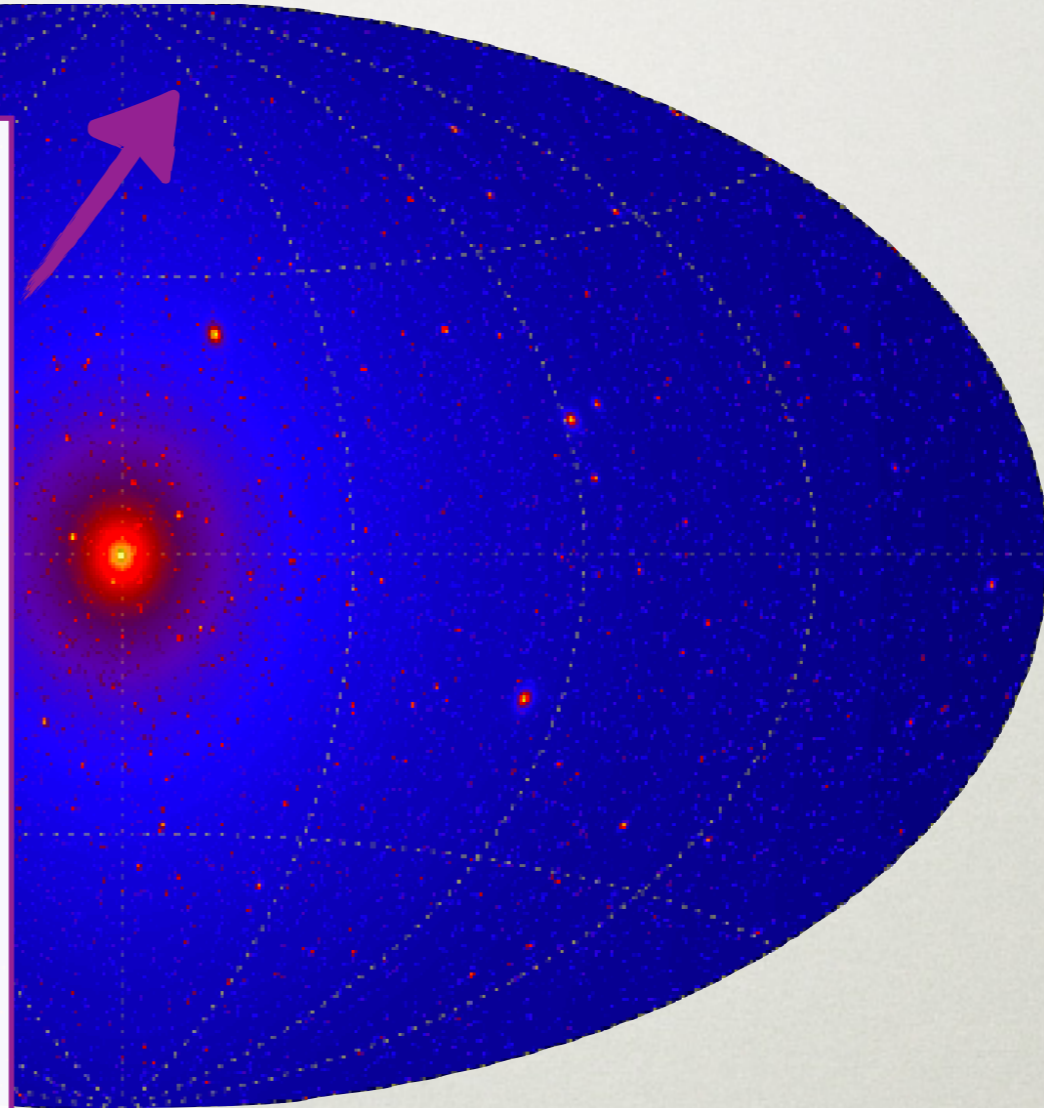
WHERE SHOULD WE LOOK?

GALAXIES AND CLUSTERS

Virgo Cluster



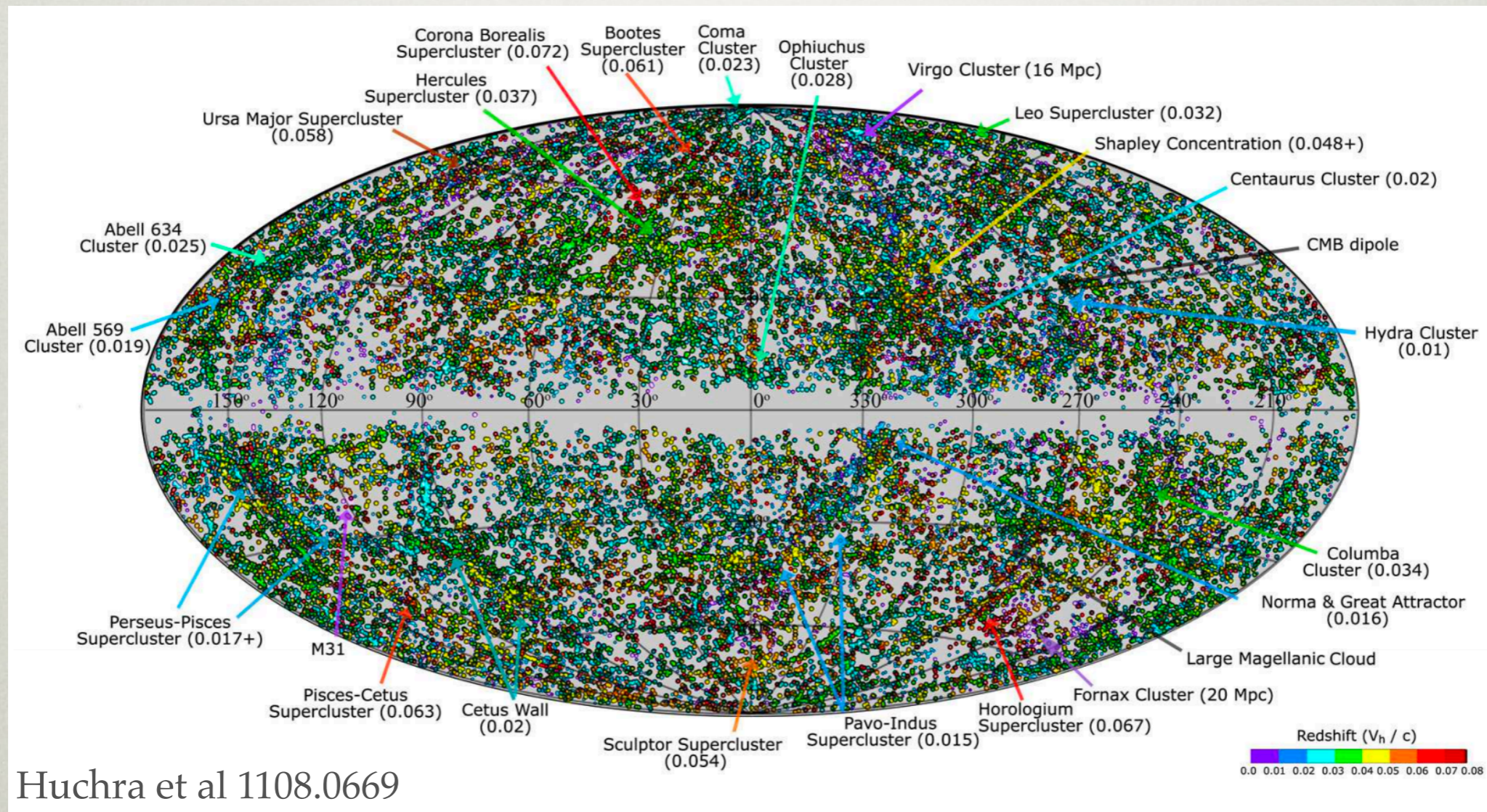
- Even dimmer than Dwarfs
- But there are many more!



$$\Phi_{\text{DM}} \propto J \sim \int ds \rho^2$$

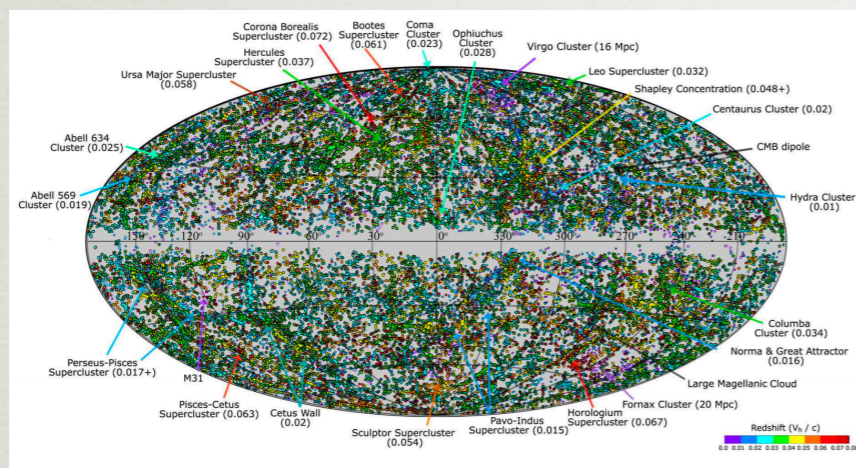
BUILDING A MAP OF EXTRAGALACTIC DM

- **Starting point:** a catalog of galaxies, e.g. 2MASS



- **Basic problem:** How do we go from galaxies to DM?

BUILDING A MAP OF EXTRAGALACTIC DM



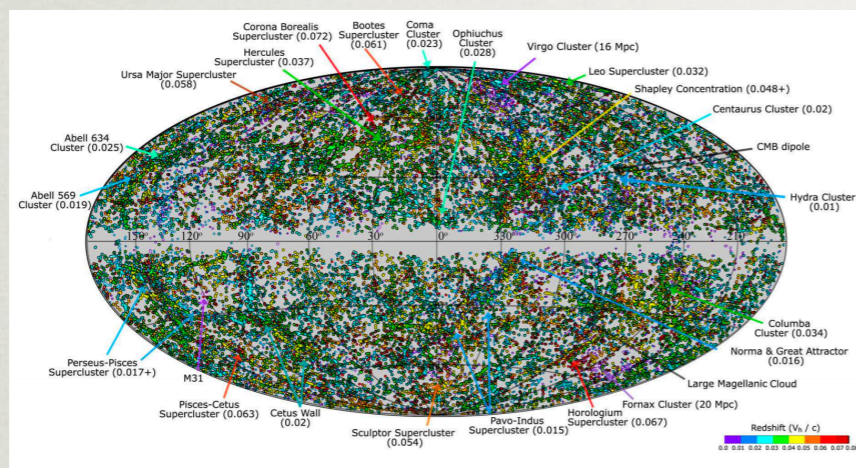
$$J = (1 + b_{\text{sh}}) \int \rho^2 (s, \Omega) ds d\Omega$$

$$\rho_{\text{NFW}}(r) = \frac{\rho_s}{r/r_s (1 + r/r_s)^2}, \quad c_{\text{vir}} \equiv r_{\text{vir}}/r_s$$

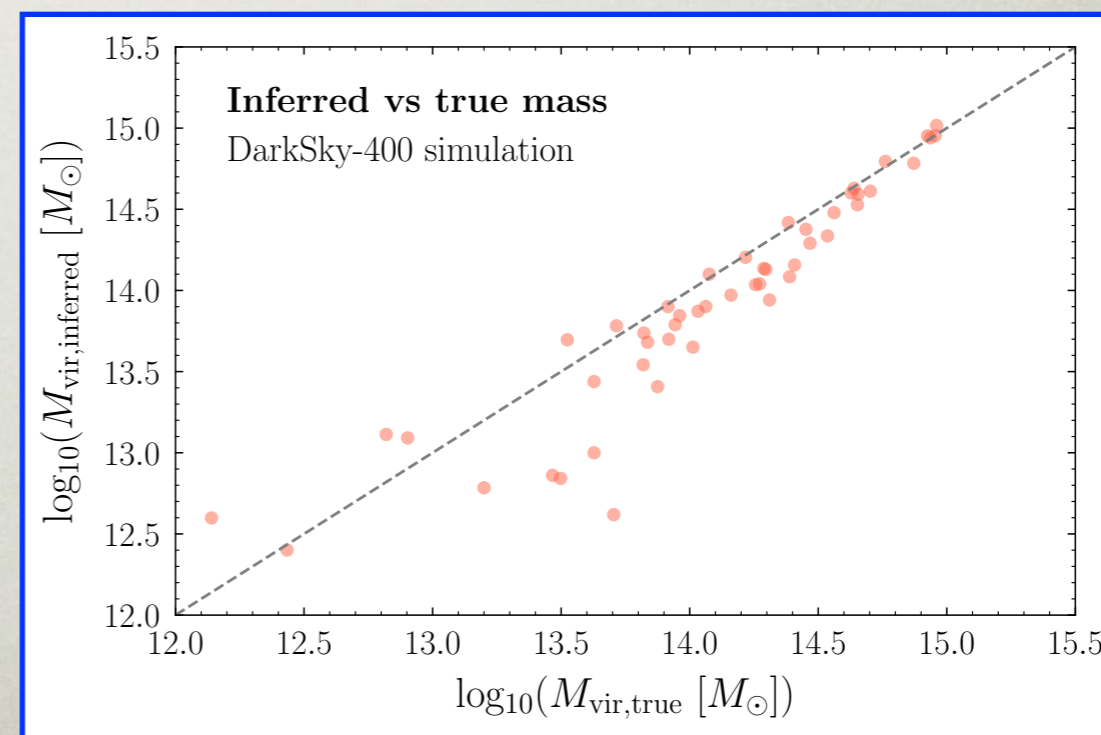
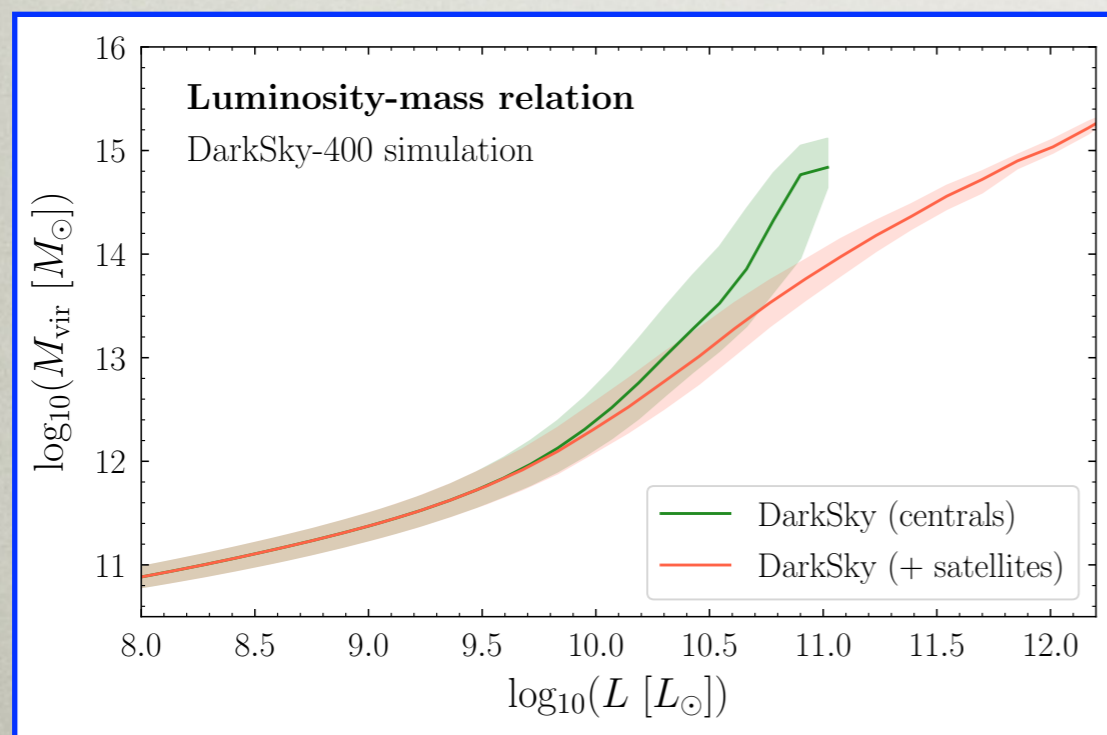
$$\Rightarrow J \sim (1 + b_{\text{sh}}) \frac{M_{\text{vir}} c_{\text{vir}}^3}{d_A^2 [z]}$$

- Need all 4 for every galaxy
- z often well known, others less so

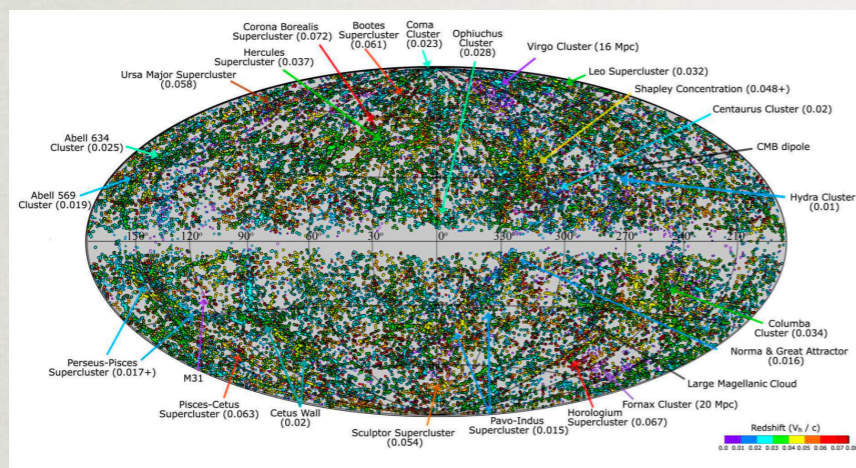
BUILDING A MAP OF EXTRAGALACTIC DM



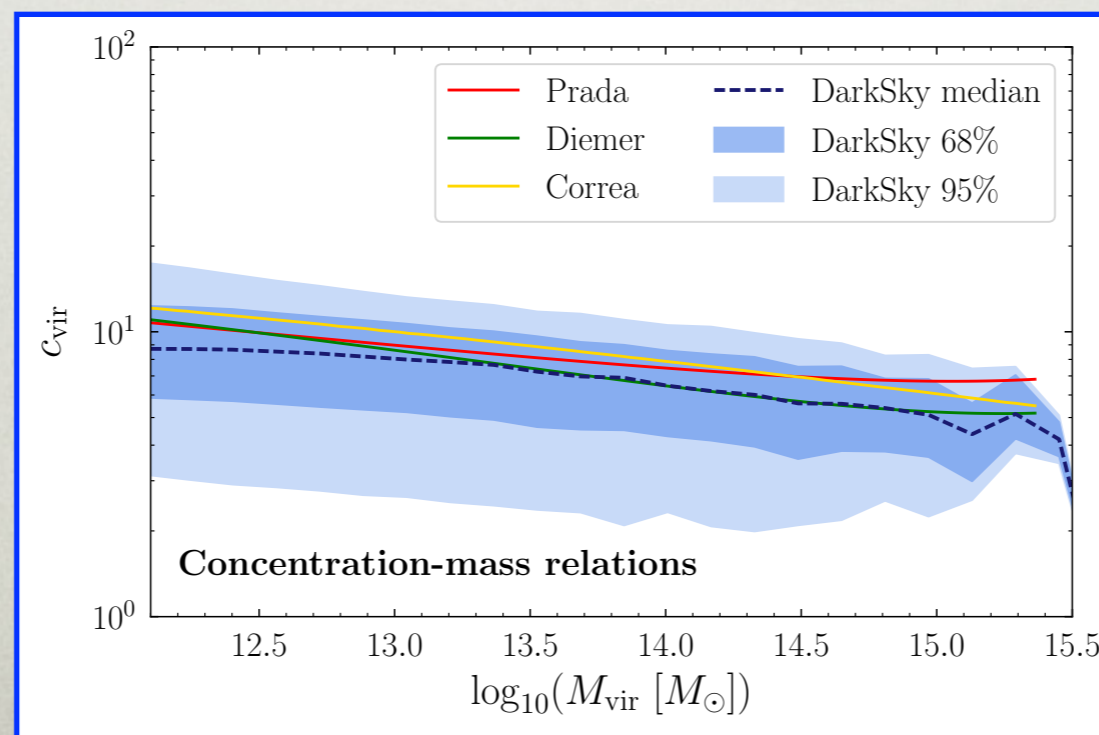
$$\Rightarrow J \sim (1 + b_{\text{sh}}) \frac{M_{\text{vir}} c_{\text{vir}}^3}{d_A^2 [z]}$$



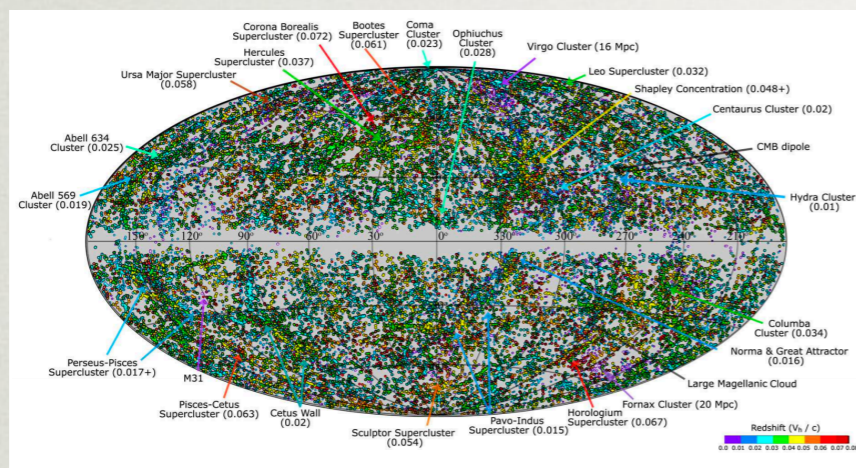
BUILDING A MAP OF EXTRAGALACTIC DM



$$\Rightarrow J \sim (1 + b_{\text{sh}}) \frac{M_{\text{vir}} c_{\text{vir}}^3}{d_A^2 [z]}$$

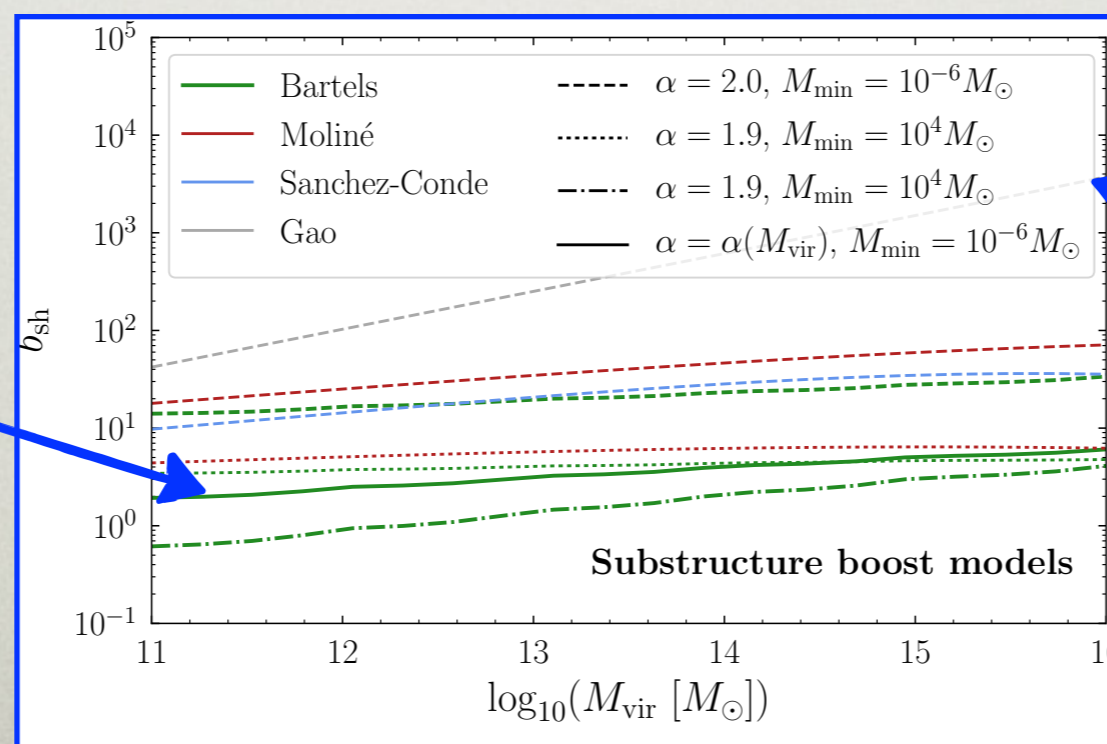


BUILDING A MAP OF EXTRAGALACTIC DM



$$\Rightarrow J \sim (1 + b_{\text{sh}}) \frac{M_{\text{vir}} c_{\text{vir}}^3}{d_A^2 [z]}$$

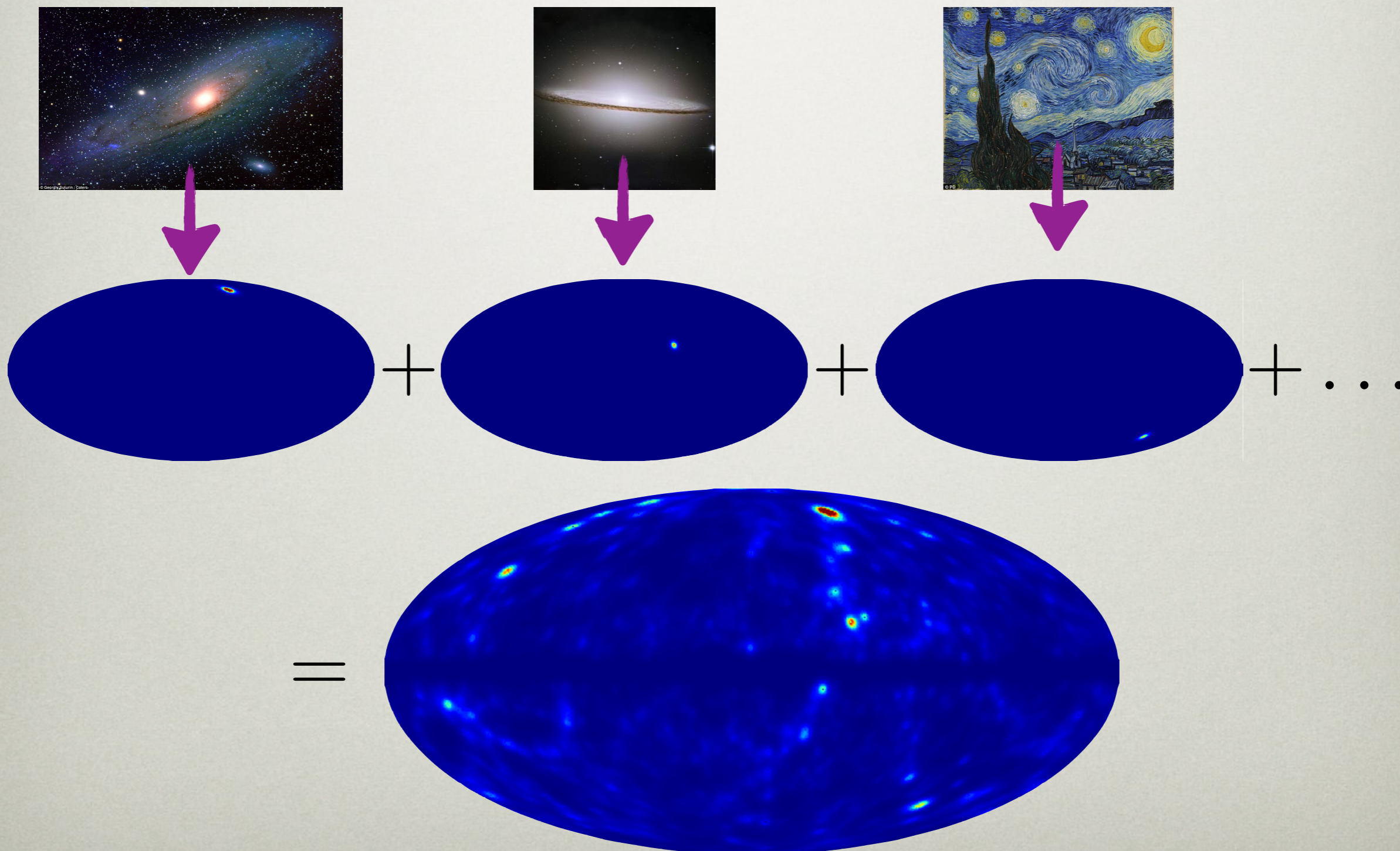
Boost model
we use
(1507.08656)



Much larger
boosts now
disfavoured
(1107.1916)

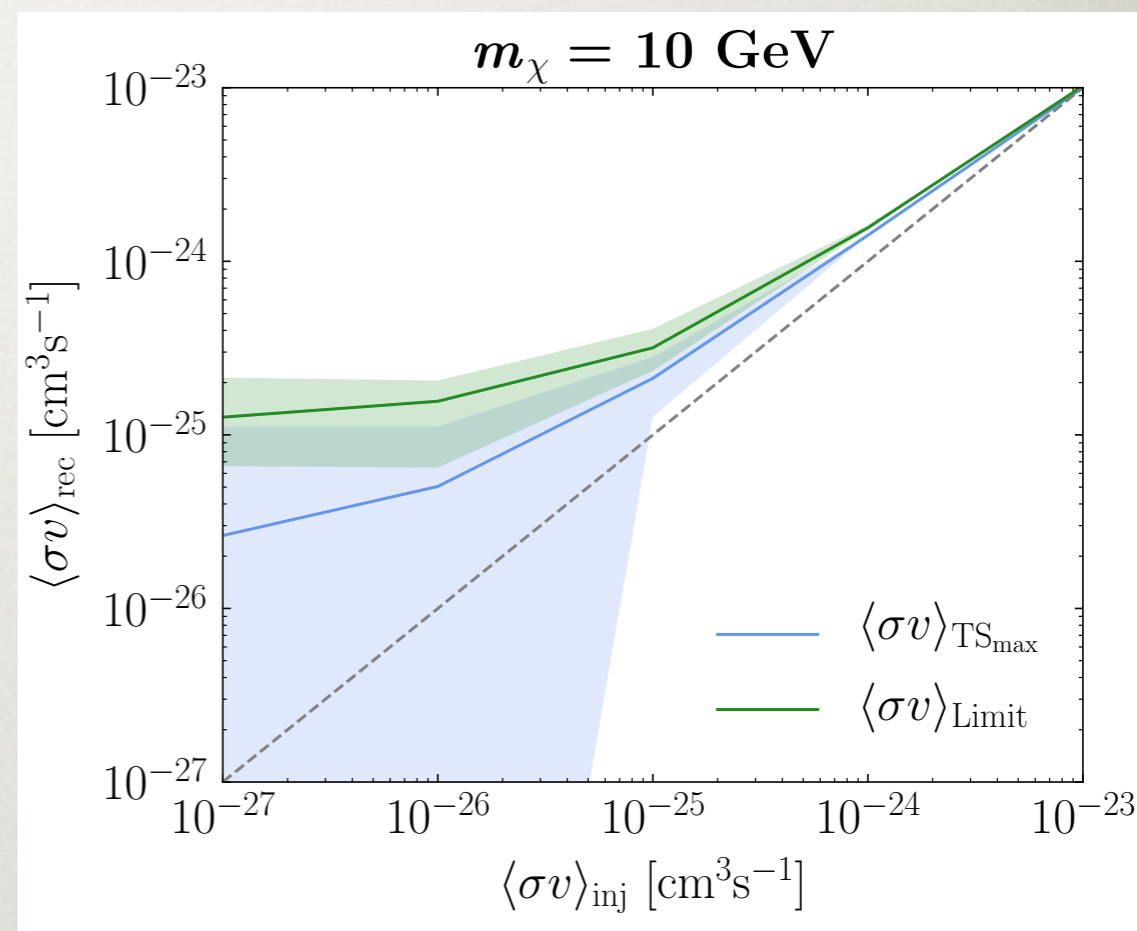
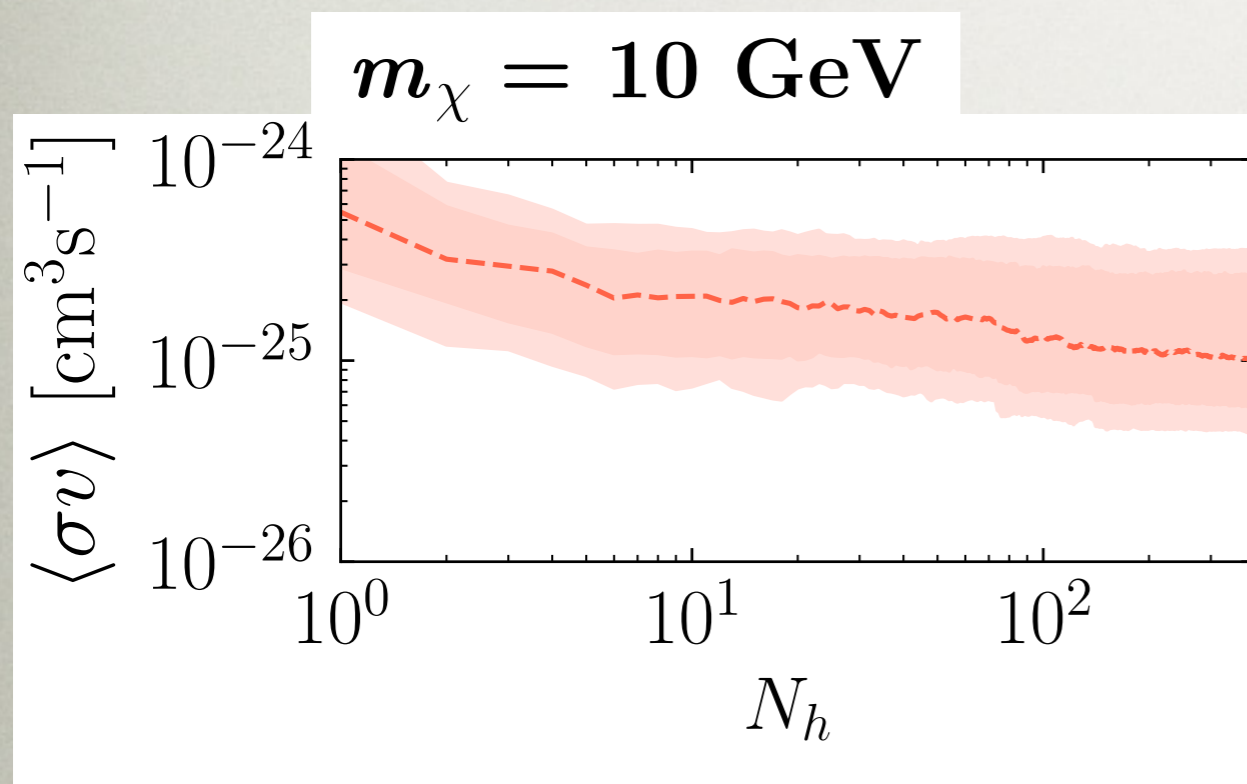
BUILDING A MAP OF EXTRAGALACTIC DM

- Can now build up a full map of extragalactic DM



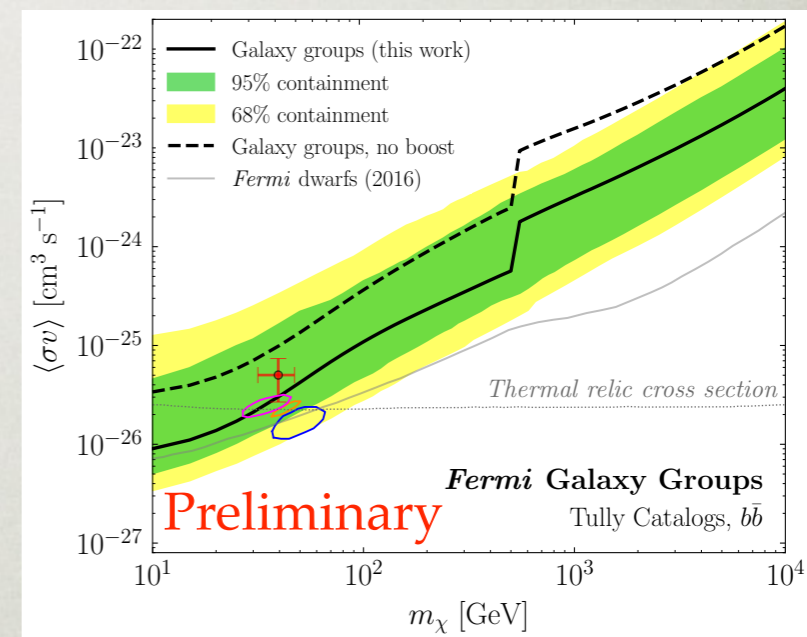
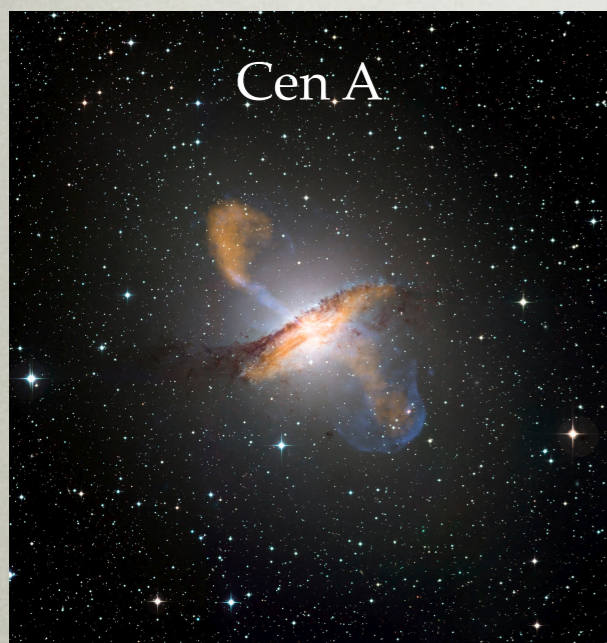
BUILDING A MAP OF EXTRAGALACTIC DM

- Use these to perform a stacked template fit analysis:



CONCLUSION

- Clusters are a powerful probe of DM annihilation
- I've shown how to go from galaxies, to a DM map, to a limit
- Sid will take over and show our application to the Fermi data



BACKUP SLIDES

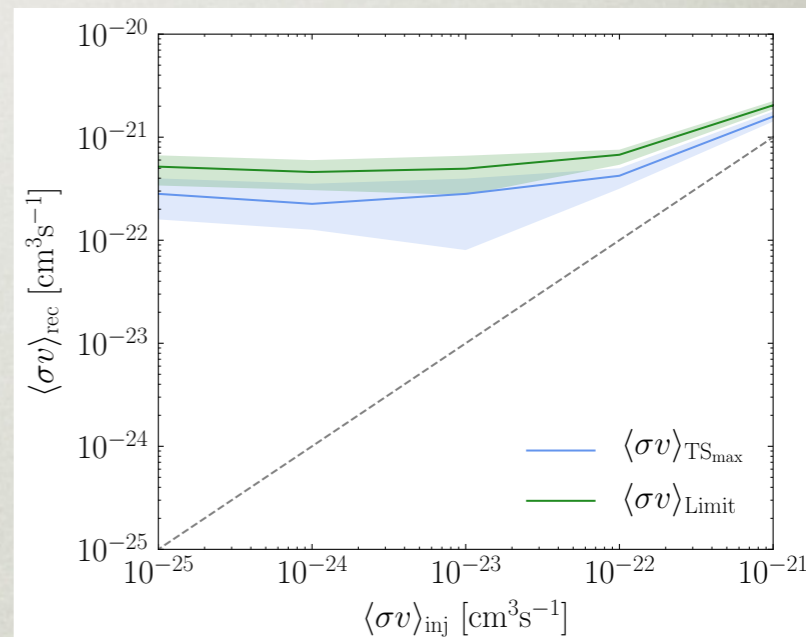
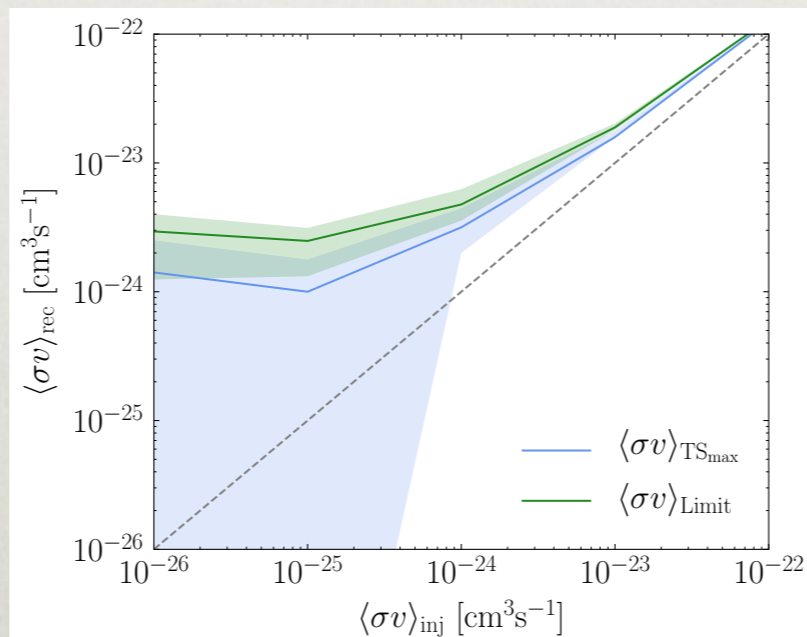
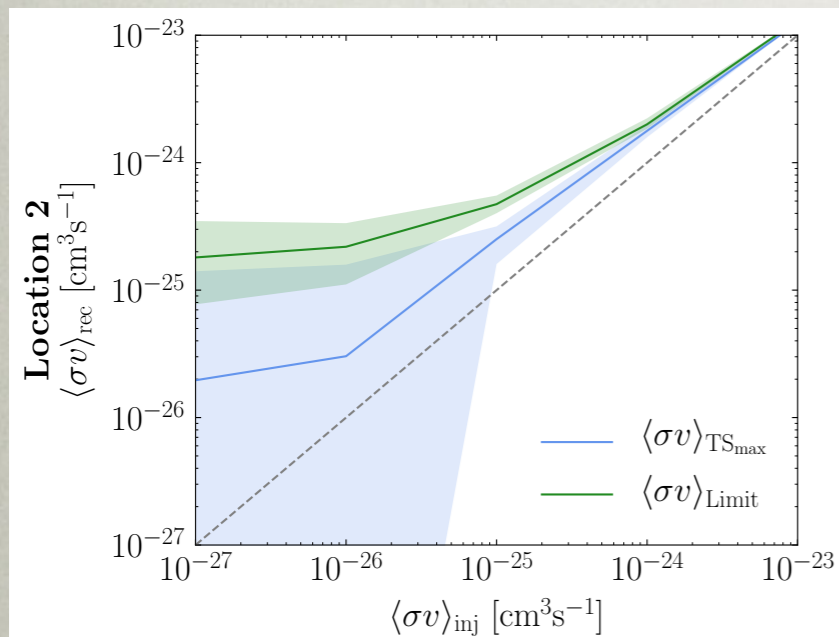
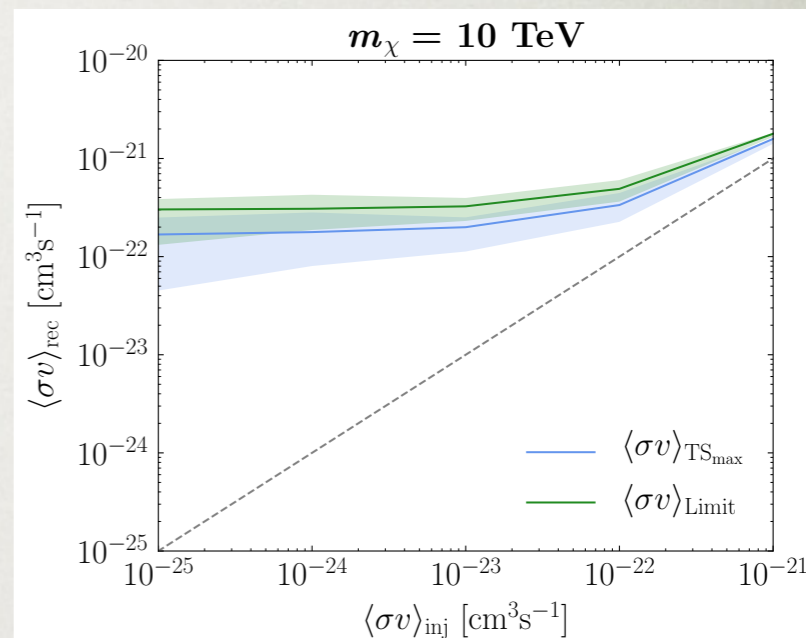
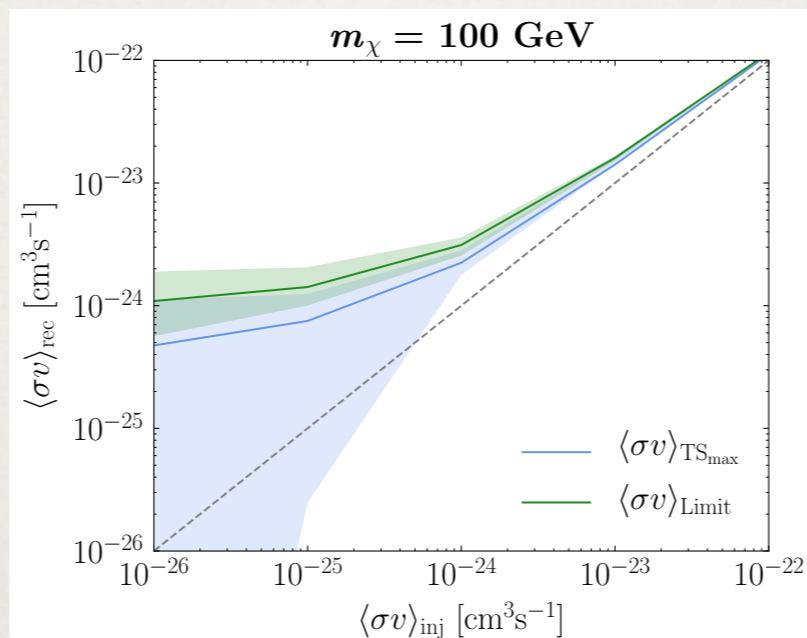
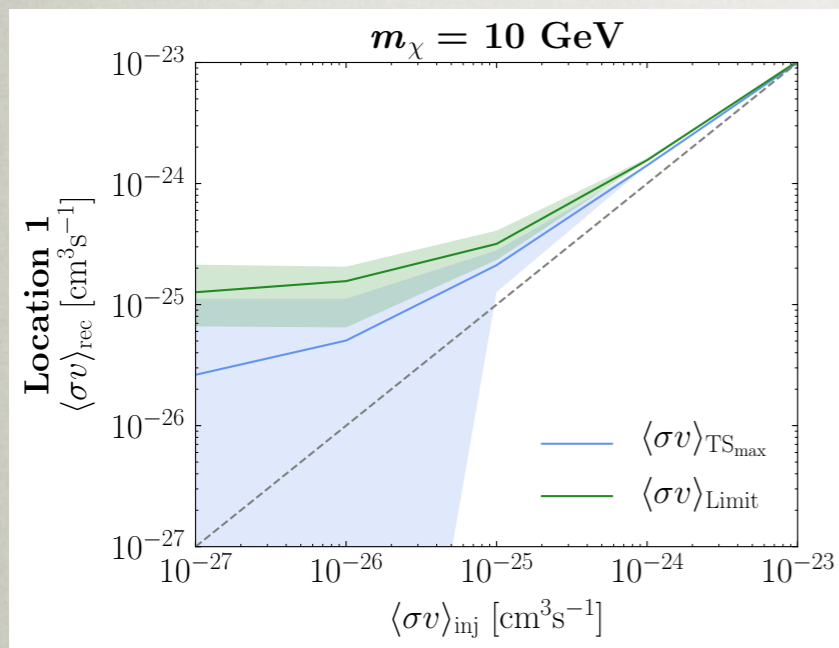
J-FACTOR SCALING

- For extragalactic halos an excellent approximation is:

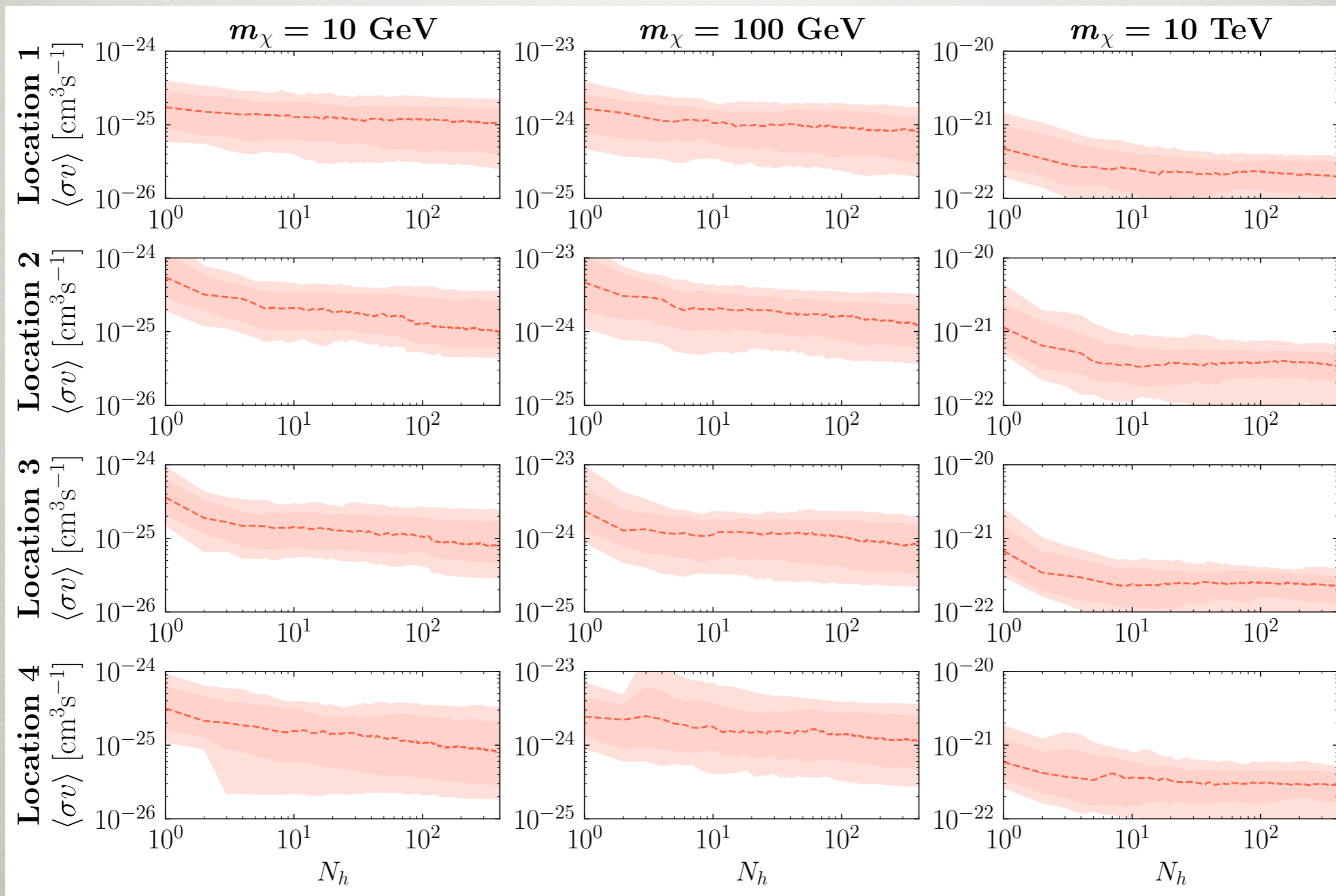
$$\begin{aligned}
 J_{\text{NFW}} &= (1 + b_{\text{sh}}[M_{\text{vir}}]) \int ds d\Omega \rho_{\text{NFW}}^2(s, \Omega) \\
 &\approx (1 + b_{\text{sh}}[M_{\text{vir}}]) \frac{1}{d_A^2[z]} \int_V dV' \rho_{\text{NFW}}^2(r') \\
 &= (1 + b_{\text{sh}}[M_{\text{vir}}]) \frac{M_{\text{vir}} c_{\text{vir}}^3 \rho_c \Delta_c[z]}{9d_A^2[z]} \\
 &\times \left[1 - \frac{1}{(1 + c_{\text{vir}})^3} \right] \left[\ln(1 + c_{\text{vir}}) - \frac{c_{\text{vir}}}{1 + c_{\text{vir}}} \right]^{-2} \\
 &\sim (1 + b_{\text{sh}}) \frac{M_{\text{vir}} c_{\text{vir}}^3}{d_A^2[z]}
 \end{aligned}$$

Same scaling holds
for Burkert profile

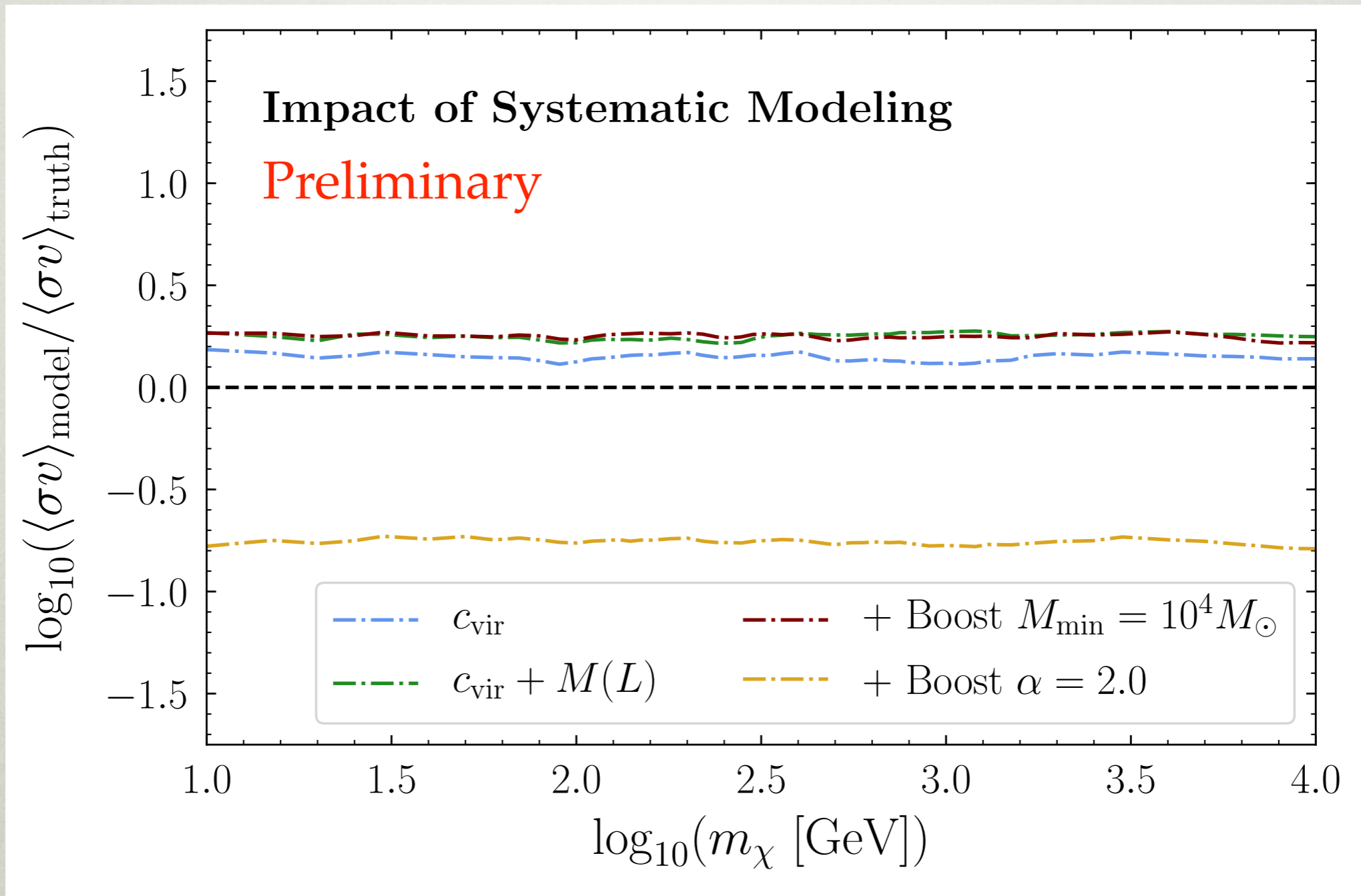
INJECTED SIGNAL



ELEPHANTS

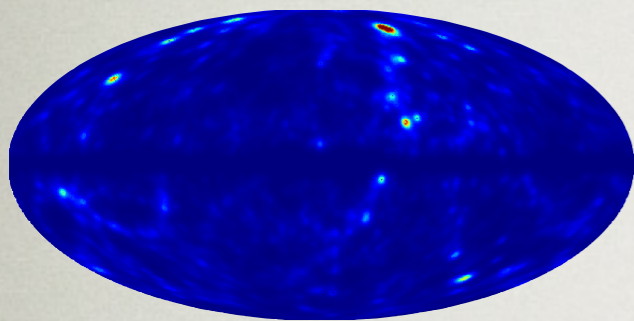


IMPACT OF MODELLING

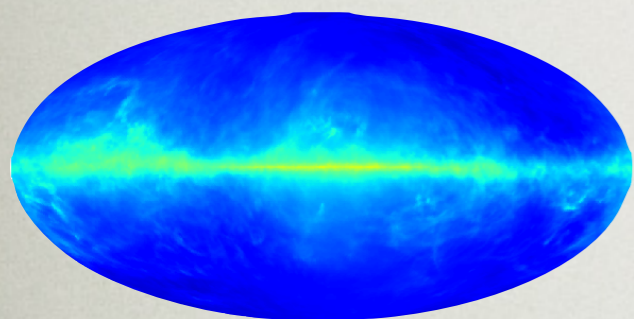


TEMPLATE FITTING

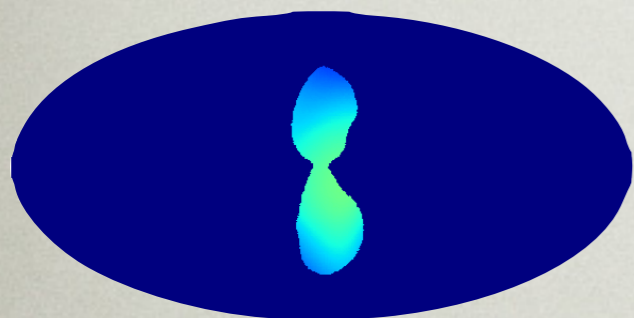
DM Annihilation



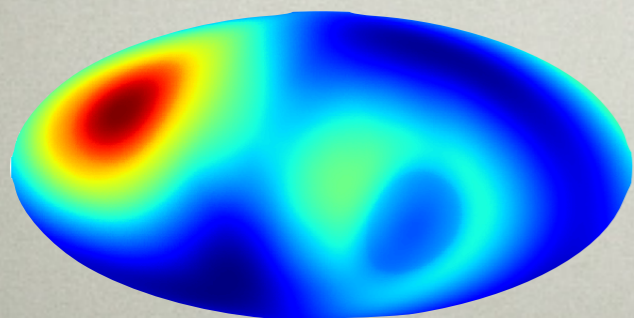
p7v6 Diffuse Model



Fermi Bubbles



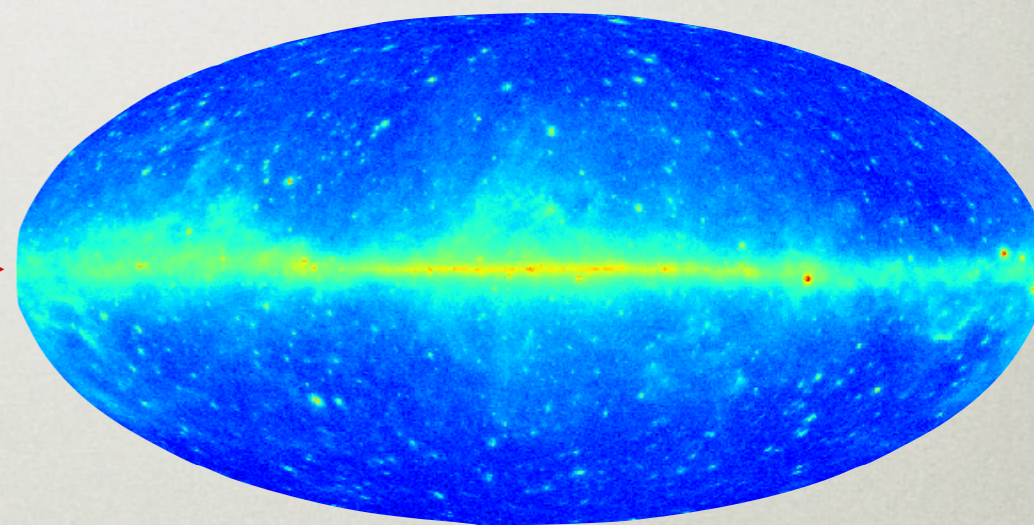
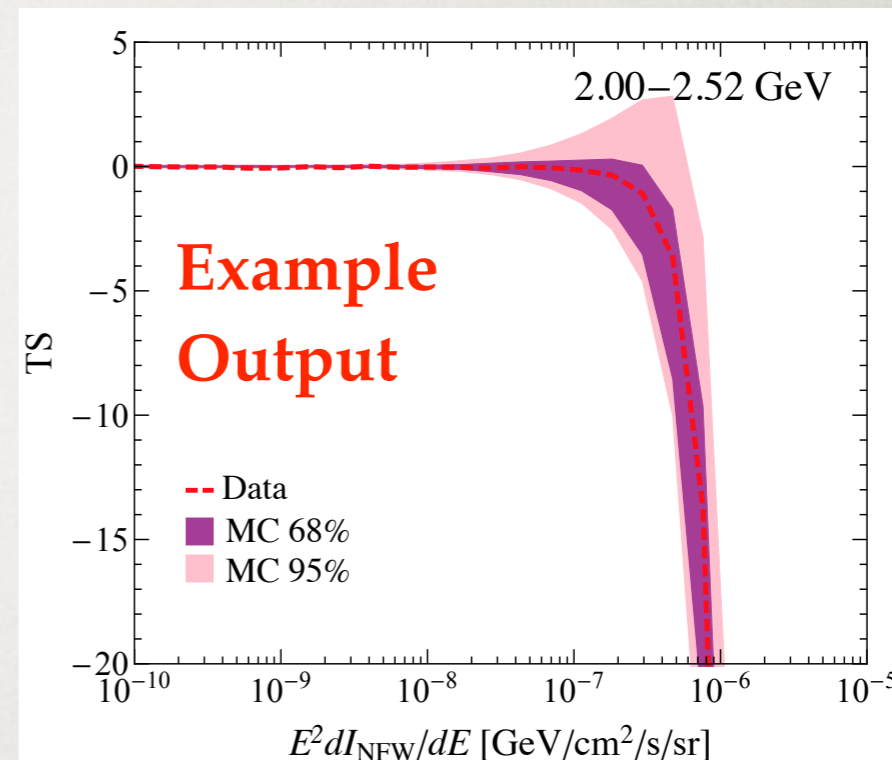
Isotropic Emission



Fix a value

Scan to find best fit values in each energy bin

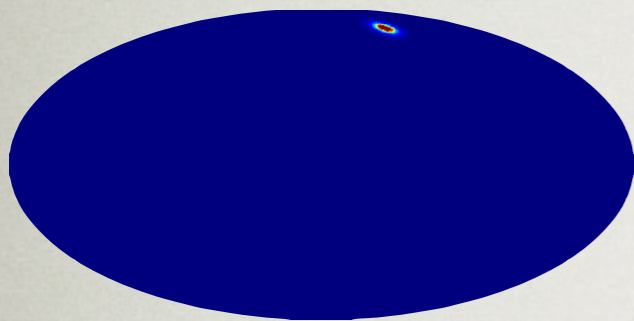
Also point source model and mask (not shown)



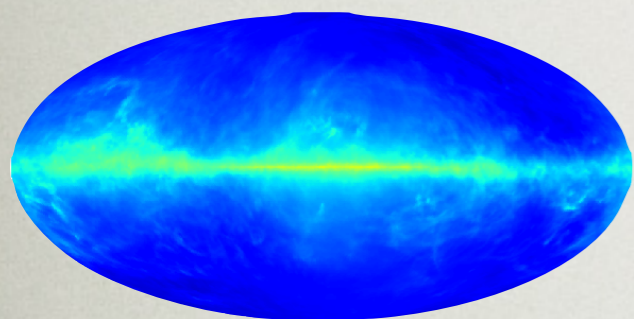
Simulated Fermi data
Fit implemented with NPTFit:
Rodd et al, Astron. J. 153 (2017) 253;
github.com/bsafdi/NPTFit/

TEMPLATE FITTING

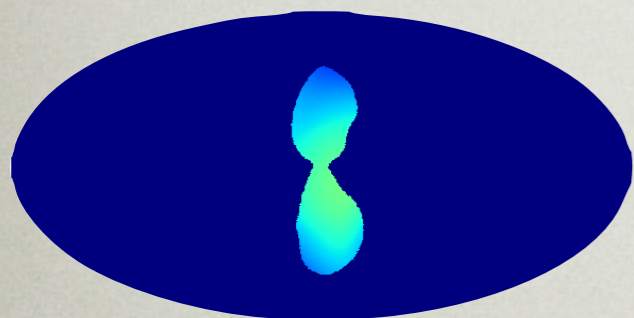
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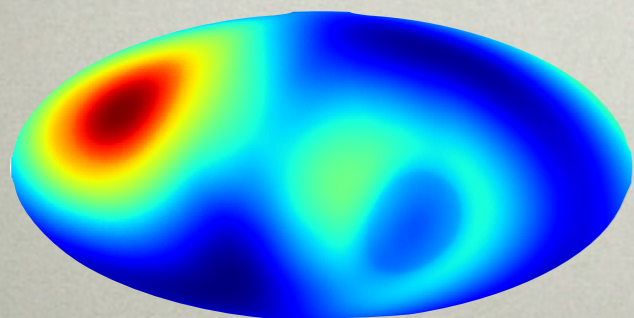
p7v6 Diffuse Model



Fermi Bubbles



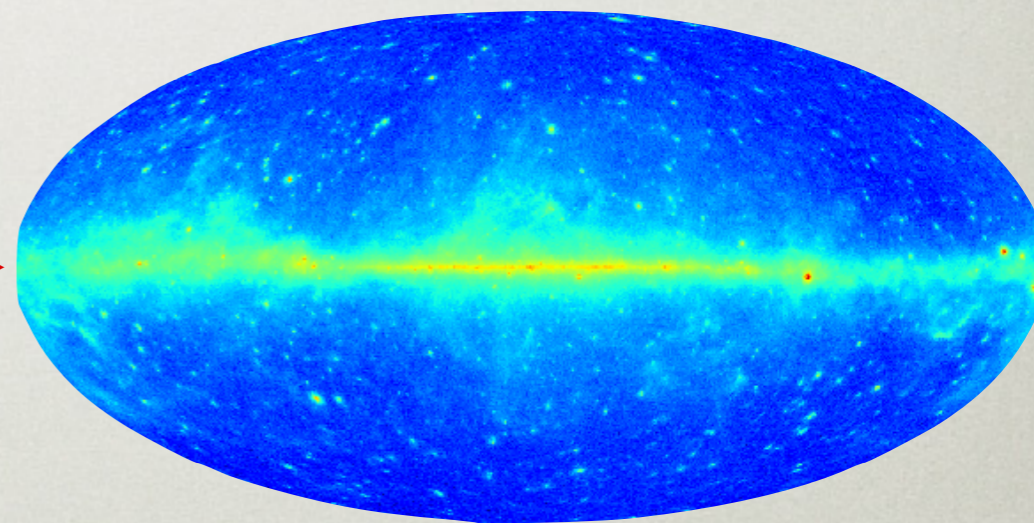
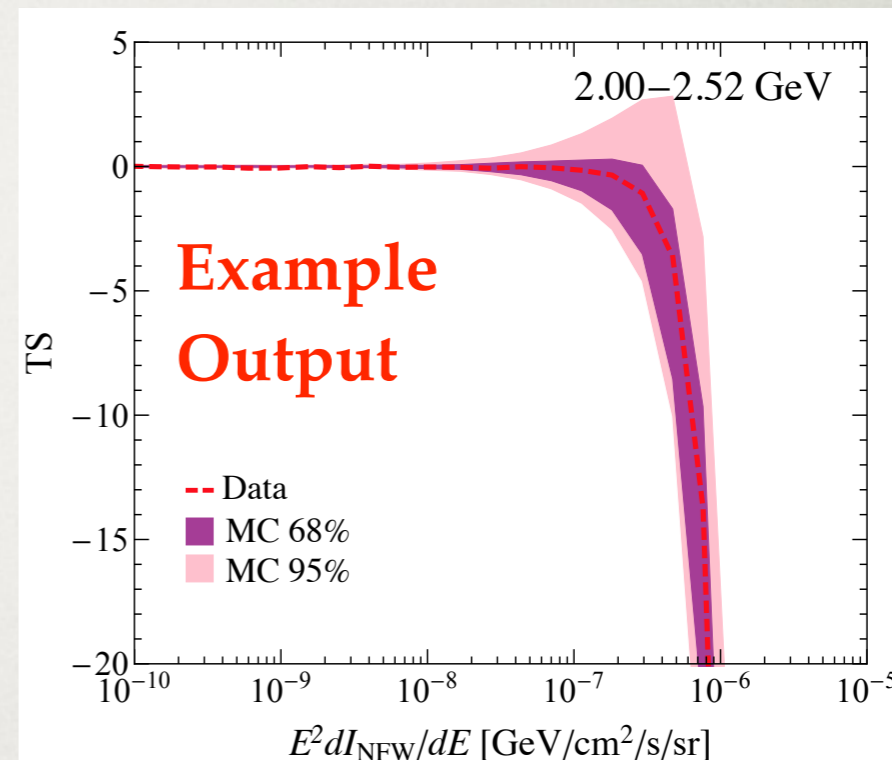
Isotropic Emission



Fix a value

Scan to find best fit values in each energy bin

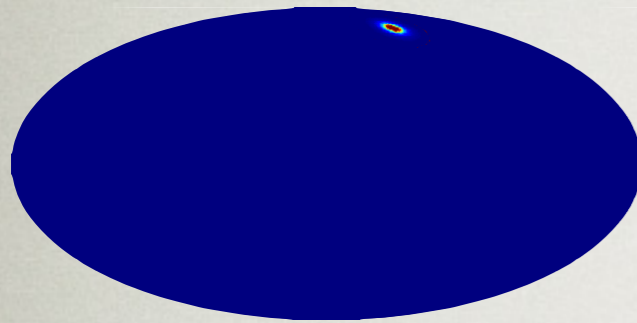
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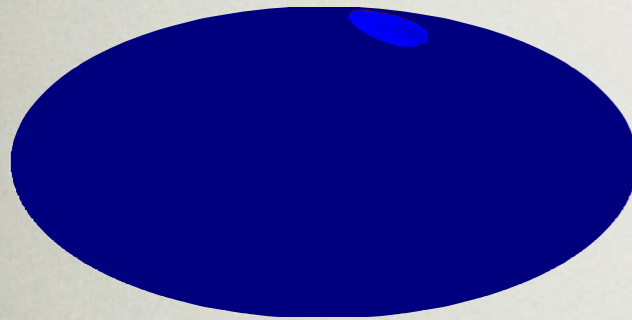
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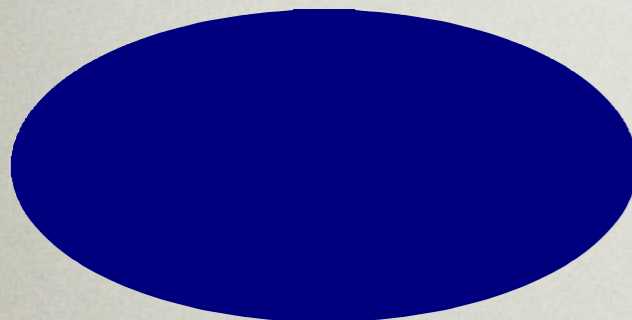
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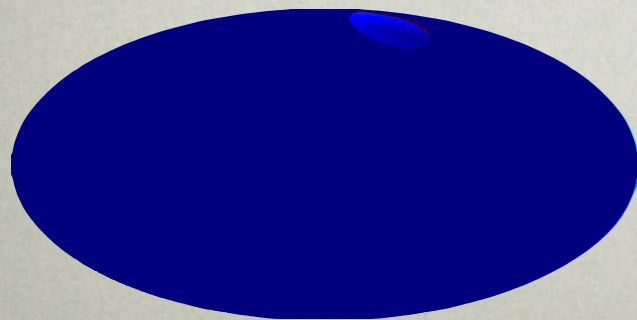
p7v6 Diffuse Model



Fermi Bubbles



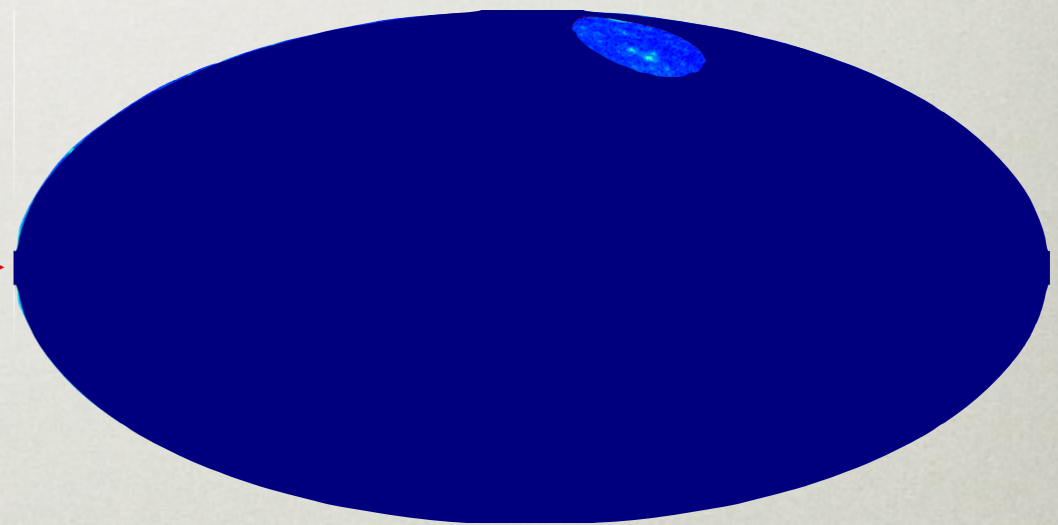
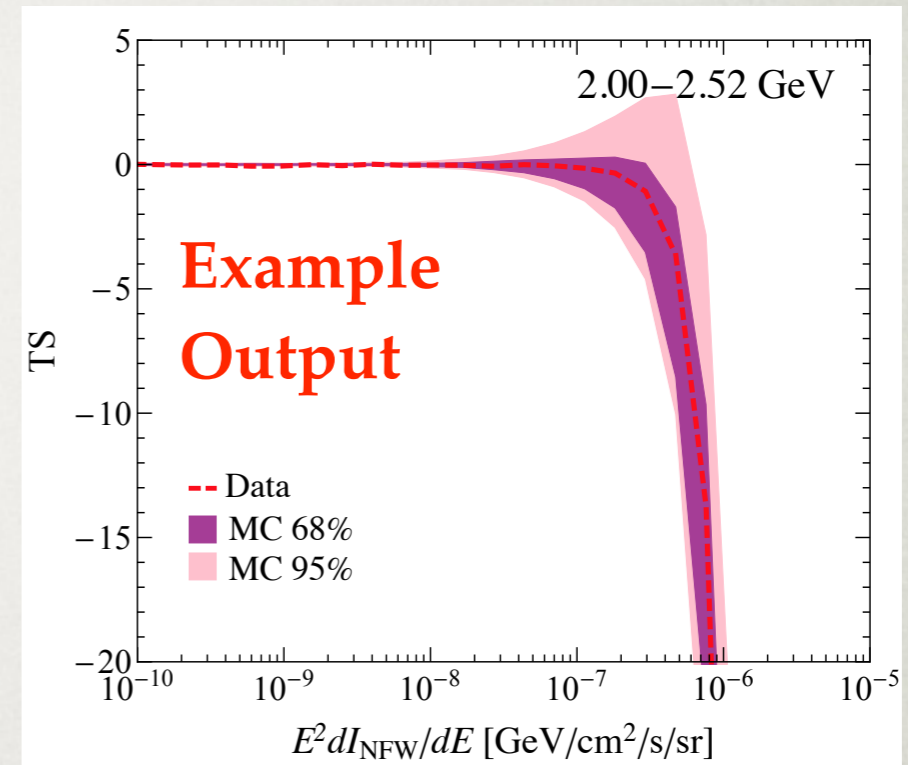
Isotropic Emission



Fix a value

Scan to find best fit values in each energy bin

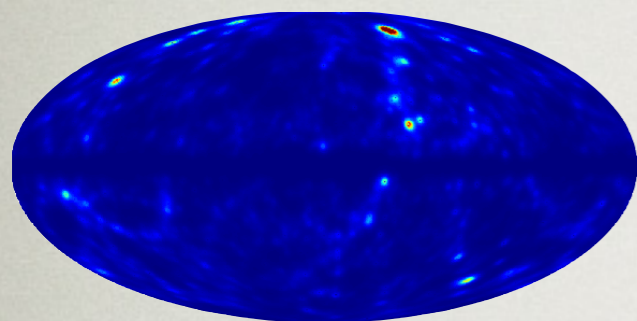
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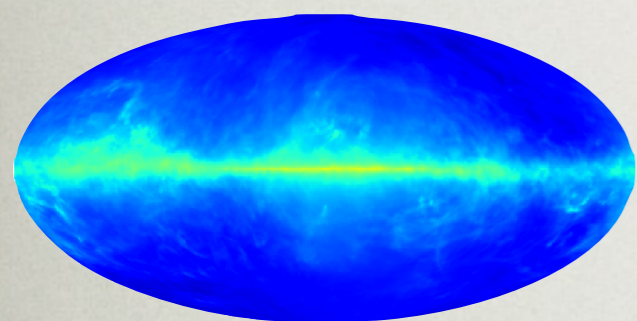
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SEARCHING FOR EXTRAGALACTIC DM

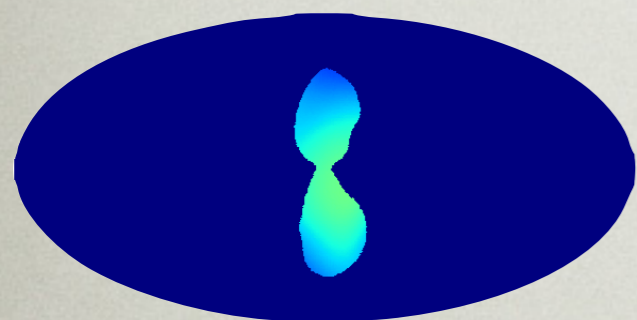
DM Annihilation



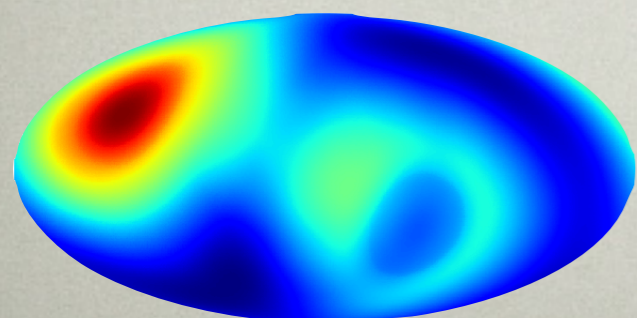
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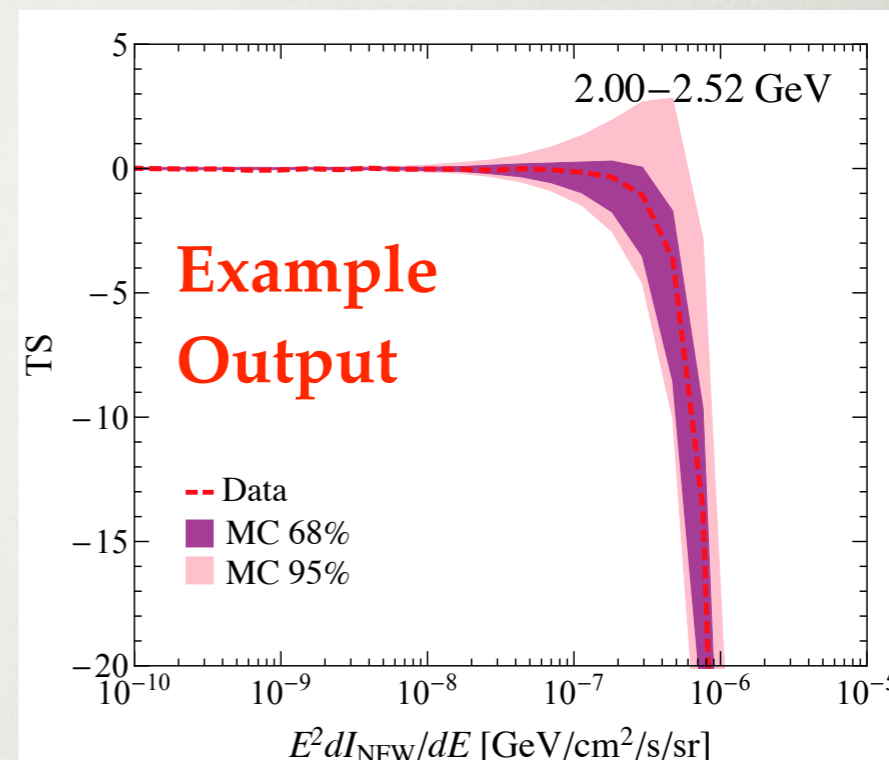
Isotropic Emission



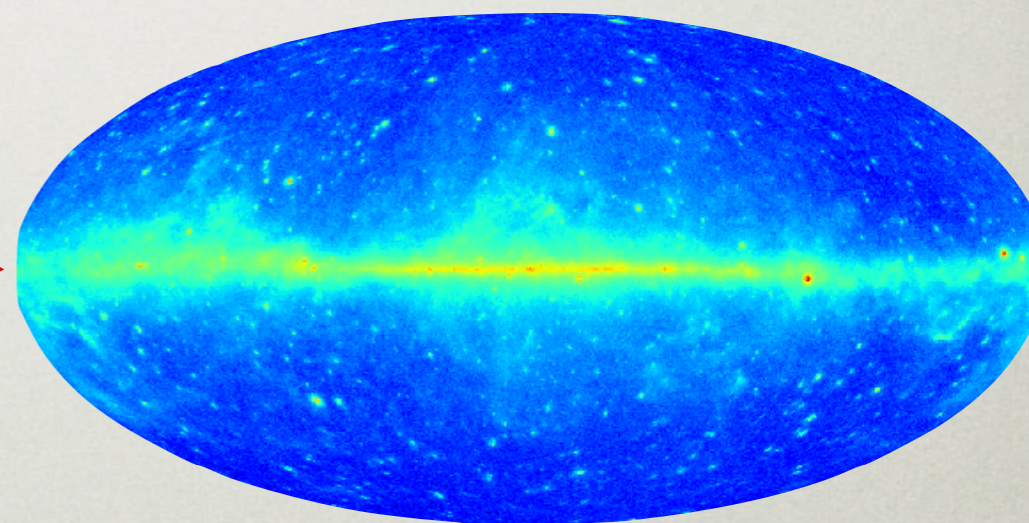
Fix a value

Scan to find best fit values in each energy bin

Also point source model and mask (not shown)



Example Output



Simulated Fermi data

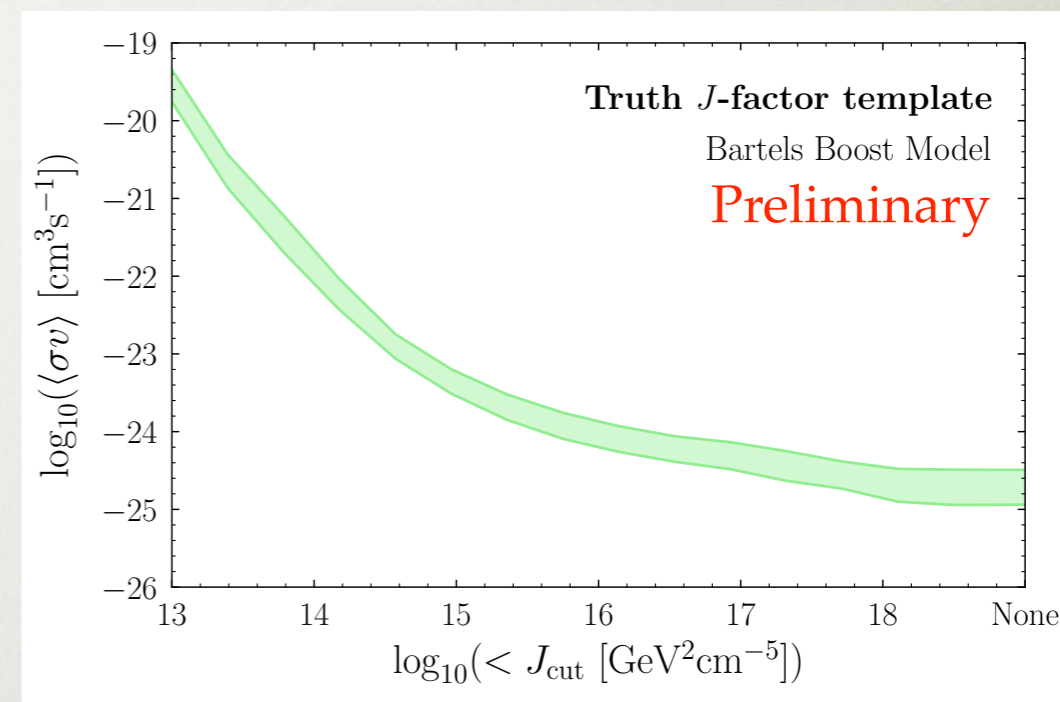
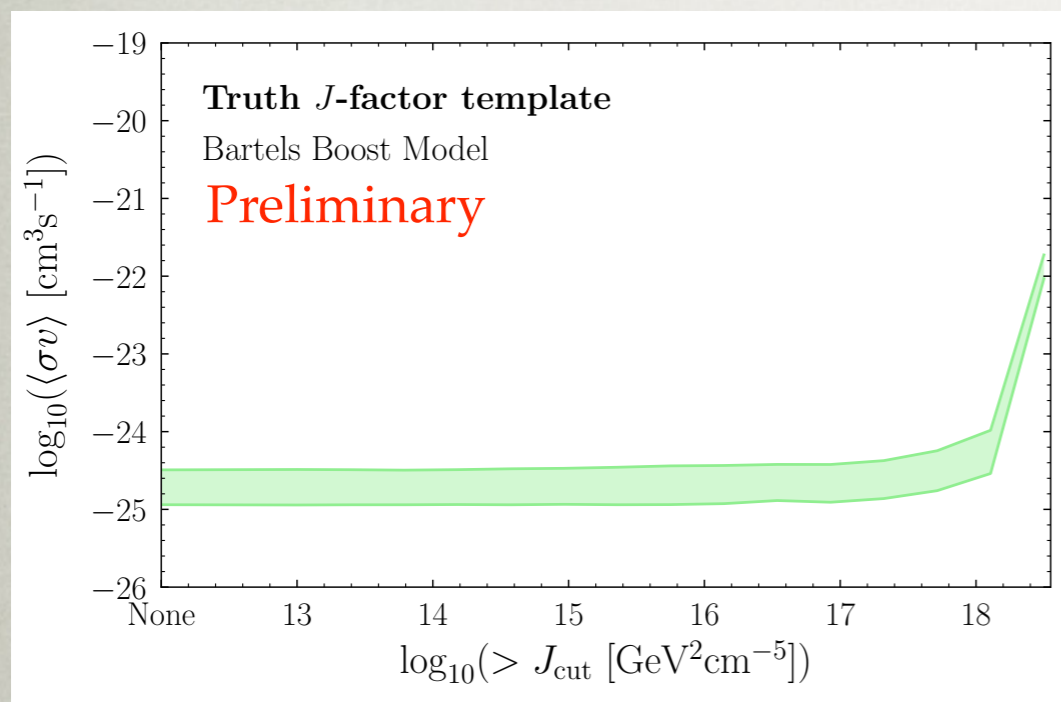
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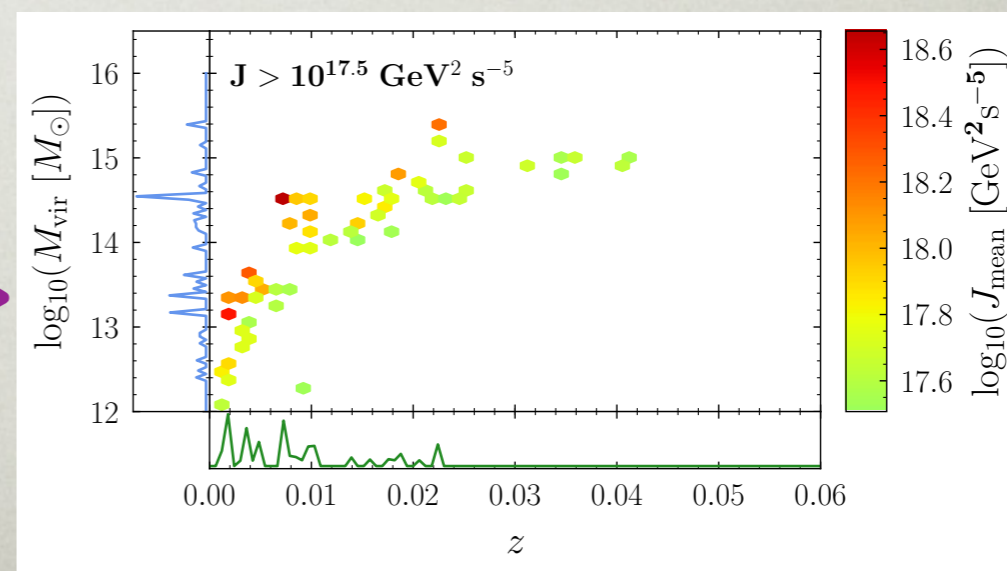
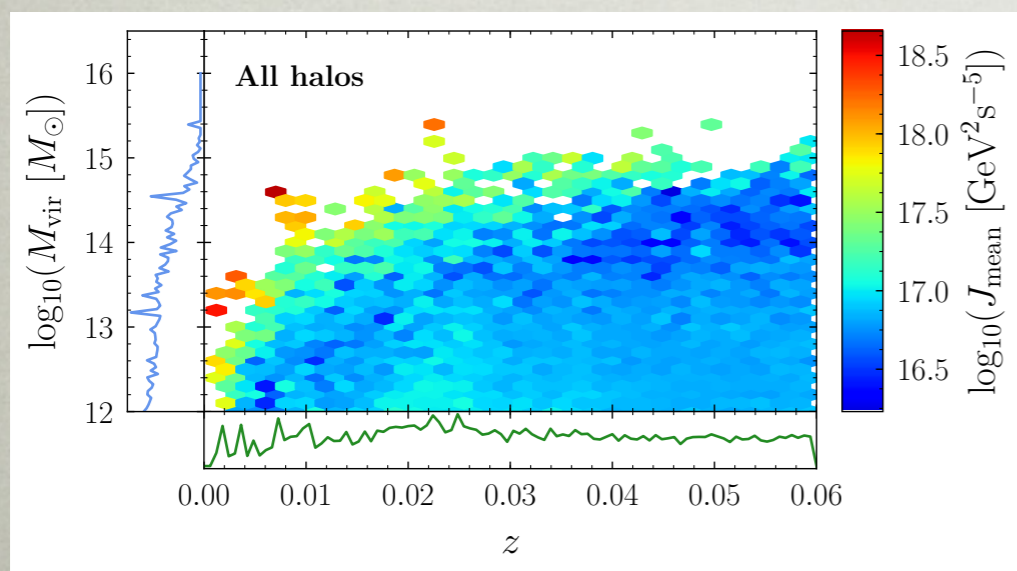
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SEARCHING FOR EXTRAGALACTIC DM

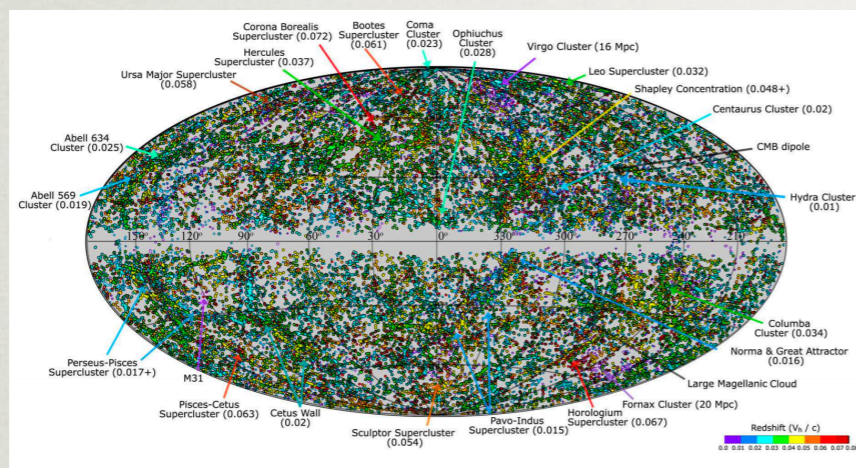
- Limit set in DarkSky + Fermi Monte Carlo on 100 GeV DM to bs



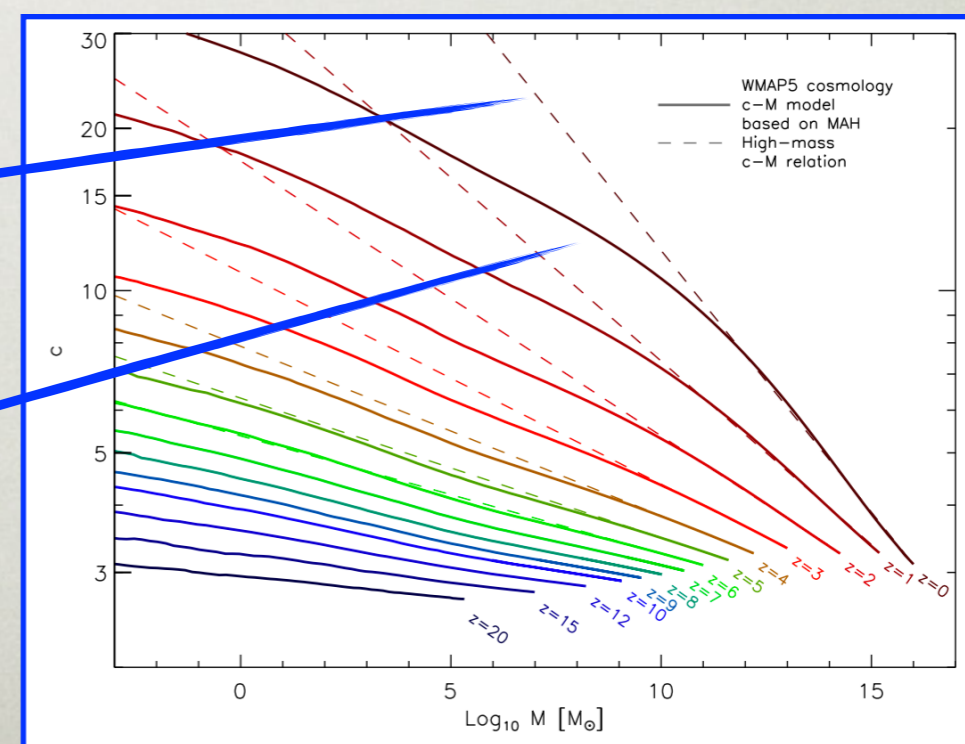
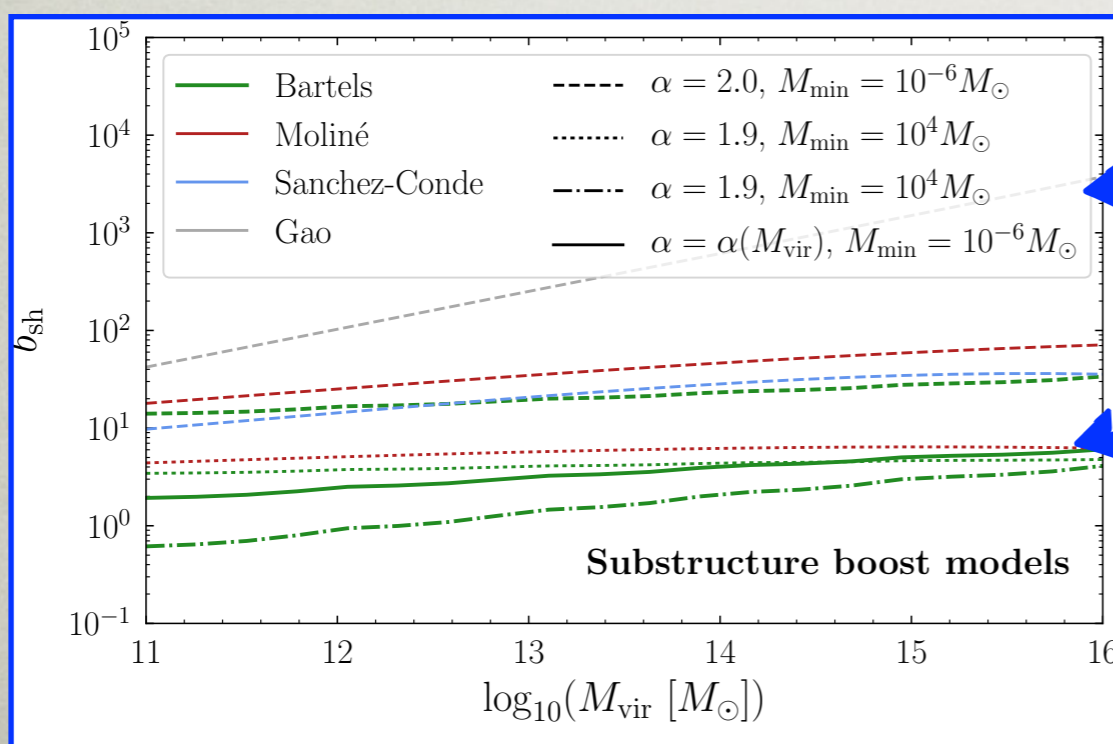
- Limit is dominated by the top ~ 100 halos when all added



BUILDING A MAP OF EXTRAGALACTIC DM



$$J \approx (1 + b_{sh}) \frac{M_{vir} c_{vir}^3}{d(z)^2}$$



Plot from Correa et al; 1502.00391

DARK MATTER AT FERMI: PROFILE LIKELIHOOD

- Bin the data in energy (i) and spatial pixels (p): $\{l, b, E\} \Rightarrow n_i^p$
- Describe with model parameters: $\theta = \{\psi_{\text{DM}}, \lambda_{\text{nuisance}}\}$
- Construct the Poisson likelihood in each energy bin i

$$p_i(d_i|\theta_i) = \prod_p \frac{\mu_i^p(\theta_i)^{n_i^p} e^{-\mu_i^p(\theta_i)}}{n_i^p!}$$

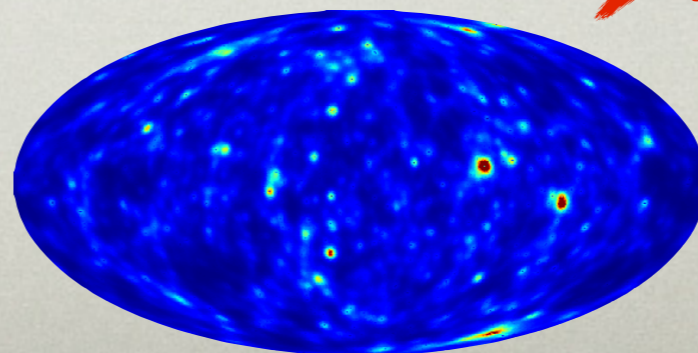
- Eliminate the nuisance parameters by profile likelihood

$$\log p_i(d_i|\psi_i) = \max_{\lambda_i} \log p_i(d_i|\theta_i)$$

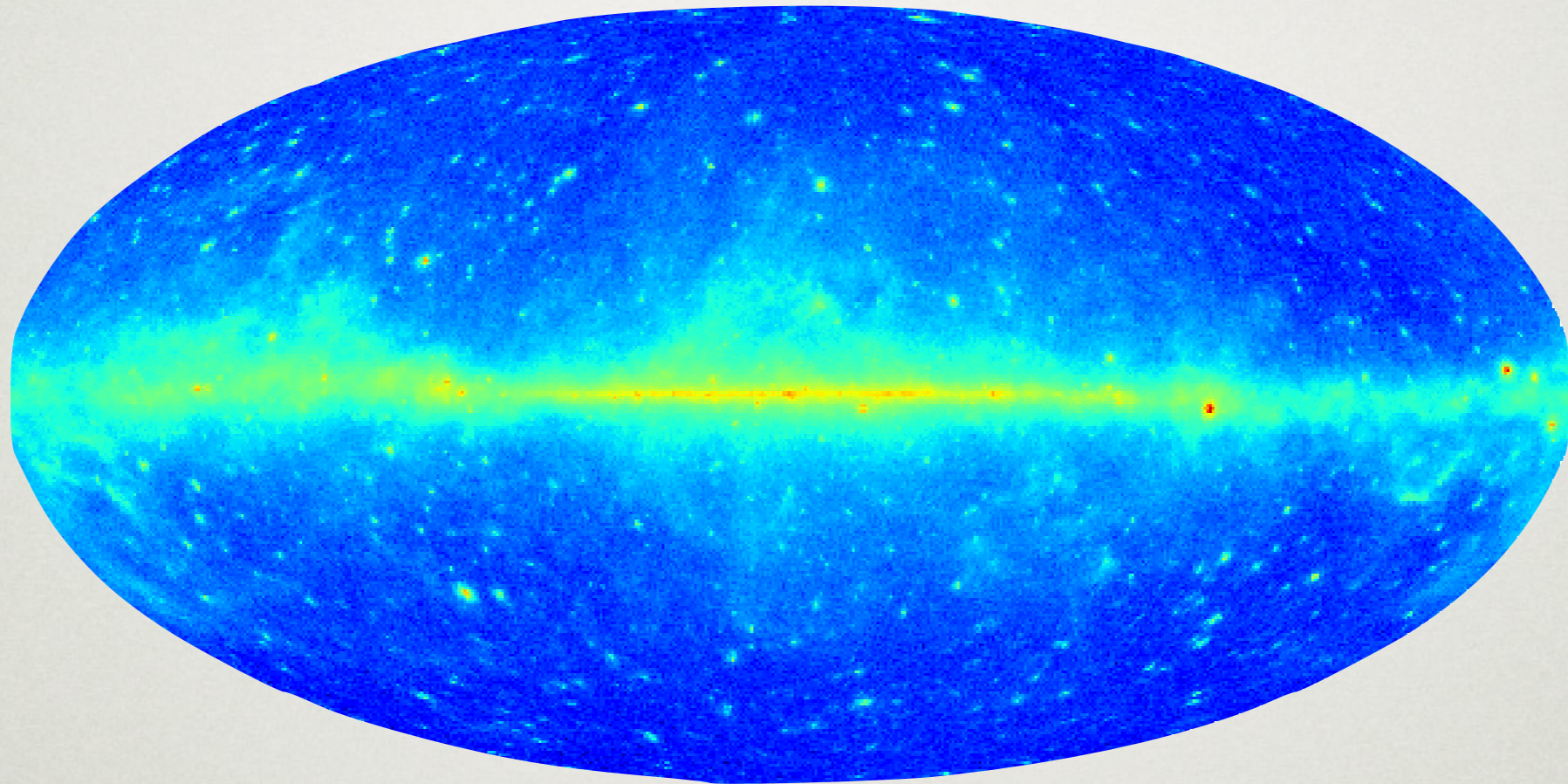
- Likelihood of a model depends on the injected galactic and extragalactic flux

$$\log p(d|\mathcal{M}, \{\langle\sigma v\rangle, m_{\text{DM}}\}) = \sum_{i=0}^{39} \log p_i(d_i|I_{\text{cat}}^i)$$

- From this define a TS, from which limits can be set
- Implement analysis using NPTFit (1612.03173)



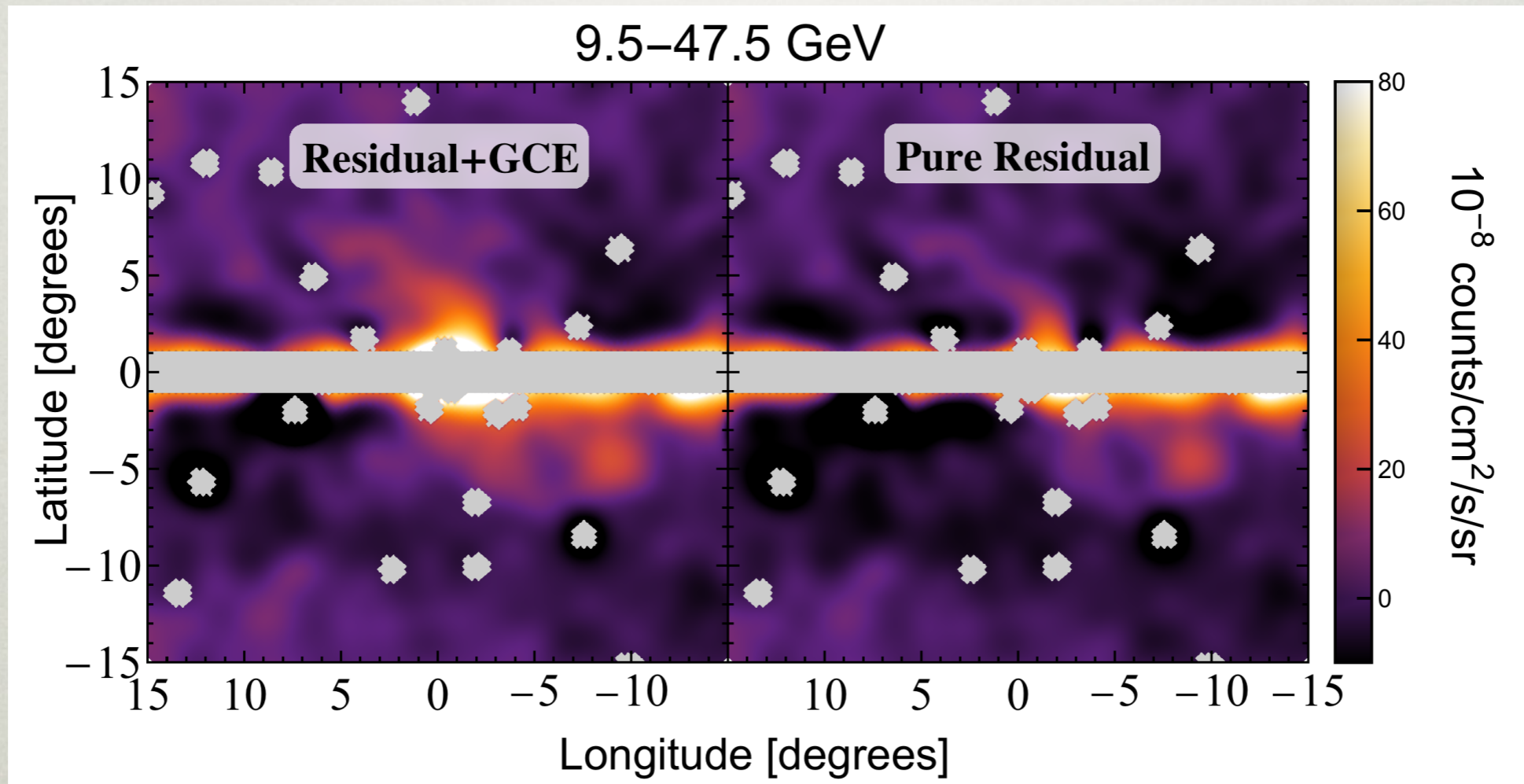
FERMI DATA DETAILS



Simulated Monte Carlo based on: 423
 weeks of Fermi-LAT data
 40 log spaced energy bins, from 200
 MeV - 2 TeV
 Ultraclean Veto BestPSF

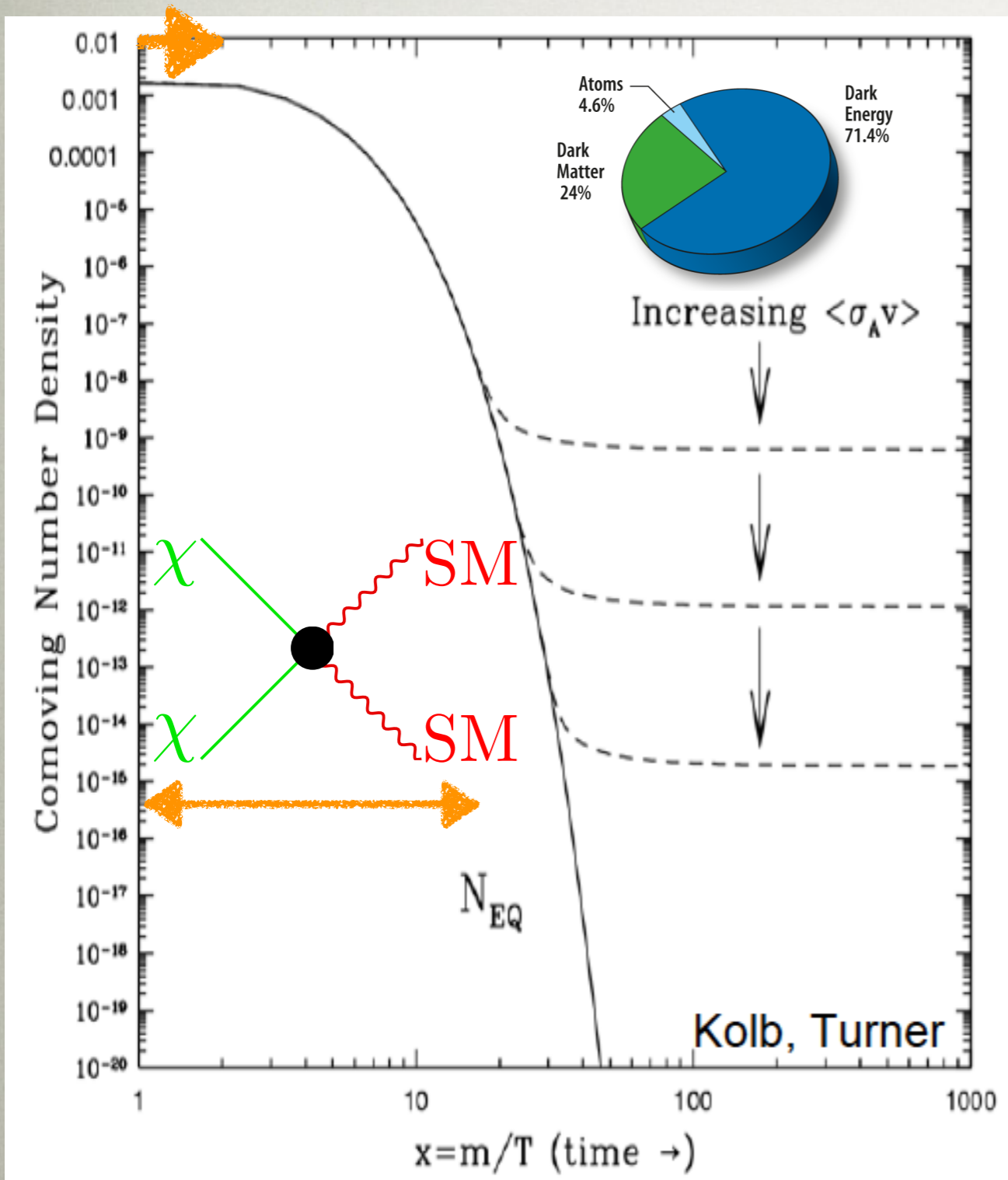
BACKGROUND MISMATCH

- Models of the gamma ray sky do not explain the data to the level of Poisson noise, e.g. below for GCE from NR et al 1604.01026



- These issues are much more pronounced for larger ROIs
- As modelling of the sky improves, will be able to safely use larger ROIs and thereby more data

WIMP MIRACLE



Wimp Miracle

- We know the amount of DM
- If it was once in thermal EQ with SM, then:

$$\text{Amount of DM} \propto \frac{1}{\langle \sigma v \rangle}$$

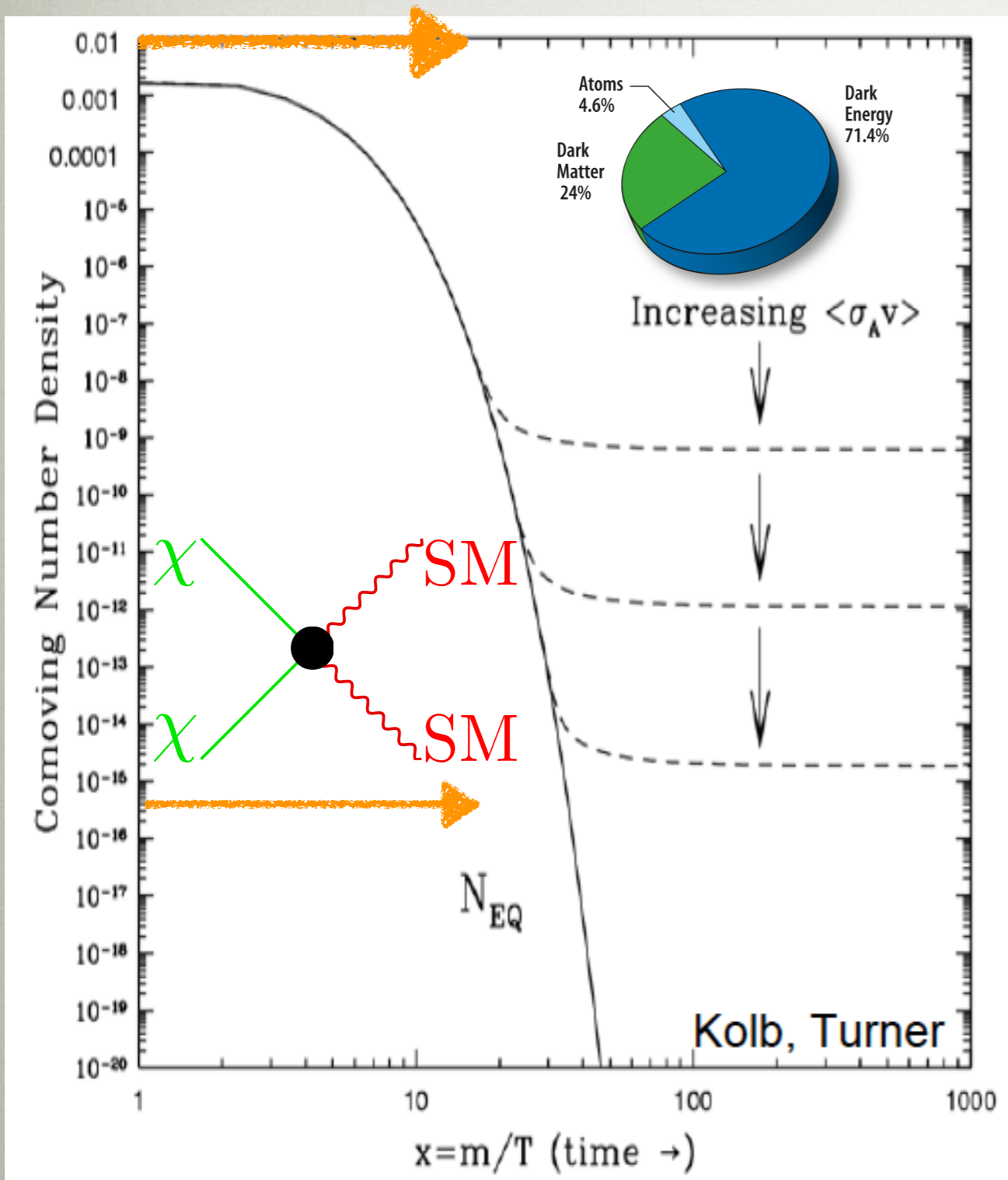
- Putting in numbers find:

$$m_\chi \sim \text{EW} (\approx \text{TeV})$$

$$\langle \sigma v \rangle \sim 10^{-26} \text{ cm}^3/\text{s}$$

- Suggestive, provides a benchmark!

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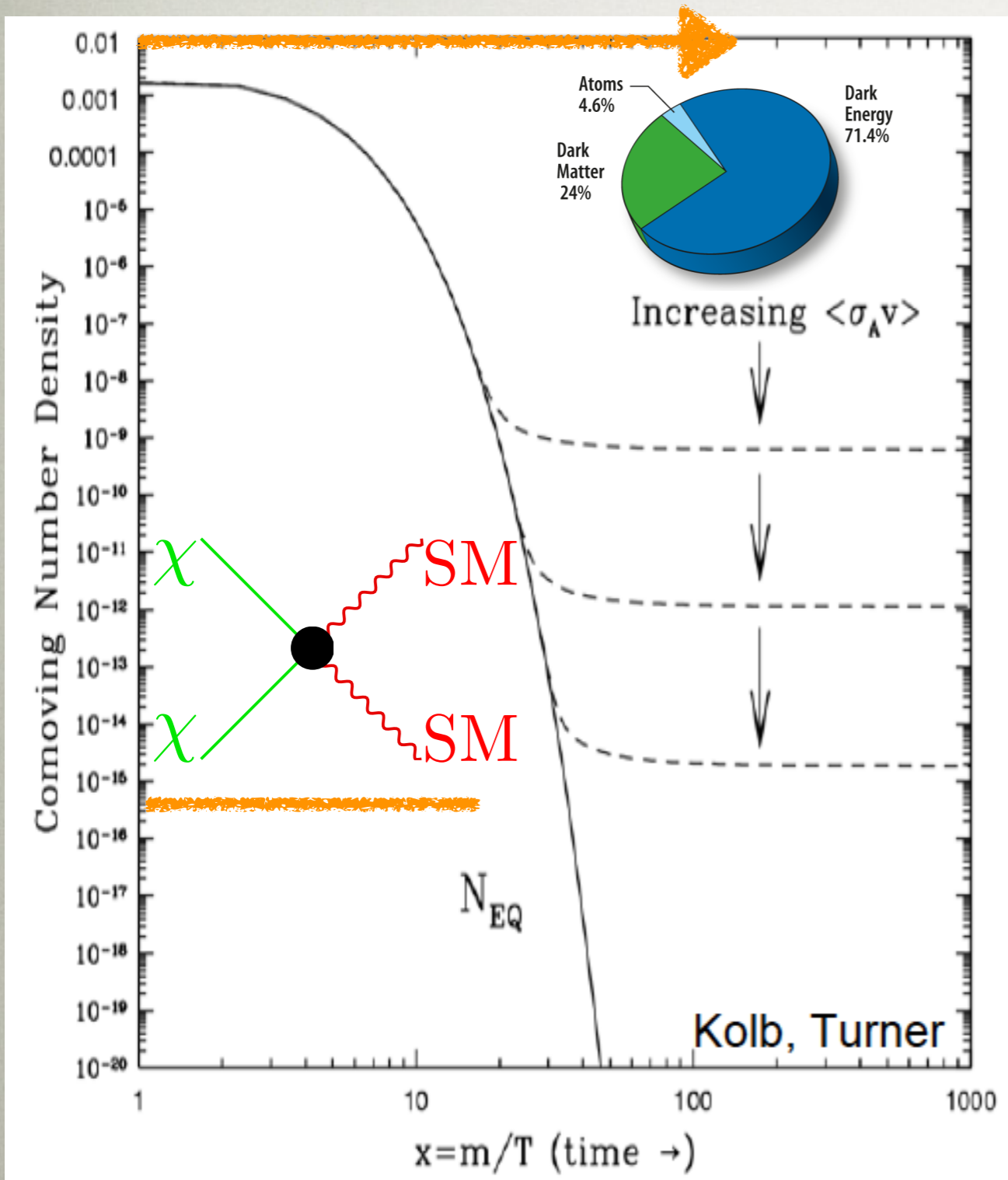
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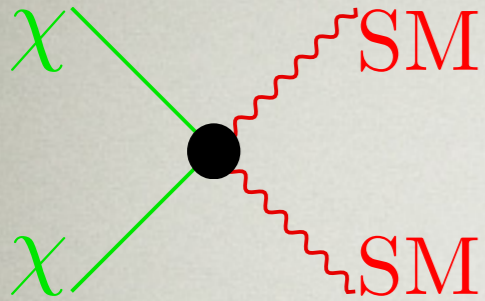
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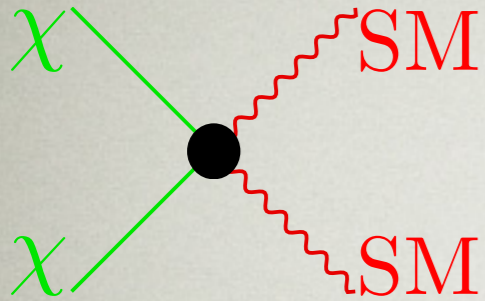
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WHERE SHOULD WE LOOK?



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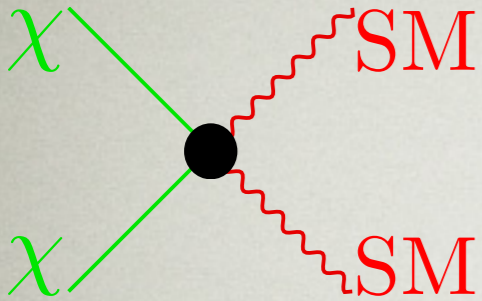
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$$dN_\gamma/dE = 2\delta(E - m_\chi) \quad (\chi\chi \rightarrow \gamma\gamma)$$

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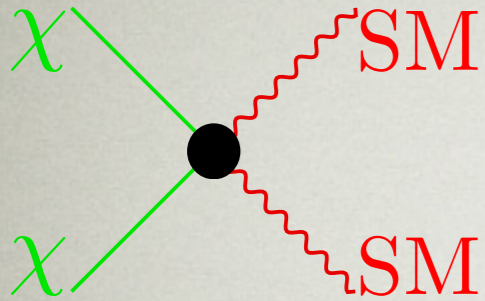
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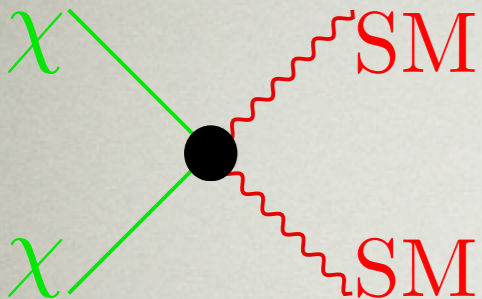
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If we had a **1m²** space based telescope operate for **10 years**:

$$(10^{-11} \gamma/\text{cm}^2/\text{s}) \times (10^4 \text{ cm}^2) \times (10 \times \pi \times 10^7 \text{ s}) \approx 30 \gamma$$

WHERE SHOULD WE LOOK?

- Fermi Large Area Telescope (LAT): pair-conversion telescope consisting of layers of tungsten and silicon on top of a calorimeter
- Launched June 2008, still running
- Narrowly avoided hitting a Soviet spy satellite in mid 2013
- **Sensitive to EW scale thermal DM!**
- Rest of talk: where should we point?

