### Improving angular resolution in IceCube cascades



Tianlu Yuan The IceCube collaboration TeVPA, 8 Aug 2017 Columbus, OH, USA





### IceCube

Over 5000 deployed Digital Optical Modules (DOMs) on 86 strings



### Cascades in IceCube

 $\nu_e + N \rightarrow e + X$  $\nu_l + N \rightarrow \nu_l + X$ 



**Information** loss

Simulated photons

Hadronic or EM shower from neutral-current or  $v_e$  chargecurrent



### Detected photons

### Waveforms and cascade orientation



Bert "Panopticon" plot

Time-windows where PMT saturates or marked as errata are shaded in red

Reconstruction relies on waveform amplitude and timing

Noticeable differences between best-fit and reversedorientation directions

Some disagreement between best-fit and data remain and hint that there is room to improve reconstruction

### Cascade resolutions for HESE



### Two approaches to improved resolutions



### Bright DOMs in high energy events



Define Q<sub>avg</sub> as the mean total charge of all hit DOMs

DOMs with Q<sub>bright</sub> > 10\*Q<sub>avg</sub> are classified as "Bright"

PMT is not necessarily saturated, but excluded because systematic uncertainties start to dominate over statistical errors in fitting the waveforms

### Distance to vertex of brightest DOMs



### Procedure

- 1. Simulate an EM cascade at fixed location/direction and various energies with latest version of ice-model
- 2. For each simulated cascade, reconstruct with direct photon propagation
- 3. Approximate Bayesian Method (ABC) to get angular uncertainty

Reconstruction can be performed with different settings

- Identical or different ice-models: ice-rec
- Maximum per-DOM charge: Q<sub>max</sub>
- Effective ice-model uncertainty parameter: σ (in a few slides)

## Effect of $Q_{max}$ on angular resolution



Tested with an identical sim-reco ice-model (3.2) and a different reco ice-model (mie)

Both show a trend towards better angular resolution as more DOMs are included (increasing Q<sub>max</sub>)

### Two approaches to improved resolutions



Without any ice-model systematic, simulation must describe data completely within statistical errors

Add smearing to predicted charge on each DOM that penalizes the likelihood with log-normal

distribution: exp 
$$\frac{-\ln\left(\frac{\mu_d}{\mu_s}\right)^2}{2\sigma^2}$$

Effective ice-model uncertainty parameterized with  $\sigma$ ; based on data from in-situ LED calibration devices

### Angular resolution vs energy and $\sigma$



### Effect of ice-model and $\sigma$ on angular resolution



### With more simulated photons

Direct photon reconstruction mean statistical uncertainties in MC



Increased photon statistics improves angular resolution even more!

Limited by GPU time



10x data statistics



Performed on new noncontained PeV cascade "Hydrangea" – see Lu's talk!

$$\frac{\delta_E}{E}: 8.3\% \rightarrow 3.6\%$$

Room to improve cascade reconstruction

Currently affected by

- 1. Bright DOM exclusions
- 2. Ice-model and ice-model uncertainty

There is a concerted, ongoing effort to incorporate more waveform data and improve ice-models.

Even more improvement with increased direct photon statistics but this may prove to be impractical.

# Thank you!

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### Backups

### Rowlf: A particularly bad case



### Bright but not saturated



of bright DOMs.



### DirectFit

- DirectFit LLH includes an effective ice-model uncertainty that smears the charge on each DOM +/- 10% (default)
- This ensures that the fit isn't too biased by high statistic DOMs

$$-\ln \mathcal{L} = \sum_{i} \left[ s_i \ln \frac{s_i/n_s}{\mu_s^i} + d_i \ln \frac{d_i/n_d}{\mu_d^i} + \frac{1}{2\sigma^2} \ln^2 \frac{\mu_d^i}{\mu_s} \right].$$

"Likelihood description for comparing data with simulation of limited statistics", D. Chirkin, arXiv:1304.0735

Capable of reconstructing data with direct photon simulation with ppc

Likelihood function different from the mainstream recos as the expectations from simulation is no longer analytic (e.g. Millipede)

Fit routine proceeds through several iterations of a localized random search where many position and direction are tested and the best fit energies at those steps are calculated.

Following fit, approximate Bayesian calculation (ABC) method applied based on fit results to estimate posterior via MCMC.

### Procedure

- 1. Simulate a EM cascade with ppc at
  - r=(0, 0, 300)m  $\rightarrow$  1648m depth
  - $\theta$ =(90 zenith, 0 azimuth)
  - Ice-sim=3.2
  - E=1E[3, 4, ... 7] GeV
- 2. For each simulated cascade, use DirectFit to try and reconstruct the best fit point assuming
  - Ice-rec=(spice-Mie, 3.2)
  - σ=(0.0, 0.05, 0.1) ice model uncertainty
  - Q<sub>max</sub>=(300, 500, 1000, 3000, 5000, 10000) p.e. cut off such that DOMs with Q<sub>DOM</sub>>Q<sub>max</sub> are excluded
- 3. Once best fit is found, sample from the approximate posterior distribution  $P(r, \theta | D)$  for each combination of ice models, energies, and sigmas
  - Std deviation of this sample gives resolution:  $\delta r$ ,  $\delta \theta$ ,  $\delta E$
  - And pulls:  $\frac{E-E_{true}}{\delta E}$  etc.

### An example: step 1, simulation

1. E=100 TeV, ice=spice-3.2 (latest), r=(0, 0, 300), θ=(90z, 0a)



### An example: step 2, reconstruction

- 1. E=100 TeV, ice=spice-3.2 (latest), r=(0, 0, 300),  $\theta$ =(90z, 0a),  $\sigma$ =0.0
- 2. DirectFit steps to the minimum



Spread and mean of last 5% of steps used to initialize step 3

### An example: step 3, error calculation

- 1. E=100 TeV, ice=spice-3.2 (latest), r=(0, 0, 300),  $\theta$ =(90z, 0a),  $\sigma$ =0.0
- 2. DirectFit steps to the minimum
- 3. Generate probabilities across the parameter space

