

Fit Exercise 1

- Generate 2 angles, x and y , randomly between 20 and 80 degrees with a flat distribution and a third angle using the relation $z = 180 - (x + y)$
- Assume the uncertainties of x , y and z to be the same (2 degree)
- Smear x , y and z with these uncertainties assuming Gaussian distributions to get measured values x_1 , y_1 and z_1
- Re-determine x , y and z from the smeared values x_1 , y_1 and z_1 using the constraint equation to get x_0 , y_0 , z_0
- Repeat this for 1000 events and plot distributions for $x-x_0$, $y-y_0$, $z-z_0$ to be compared with $x-x_1$, $y-y_1$, $z-z_1$

Fit Exercise 2

- Generate a set of 4-momenta for a pair of photons from decays of 5 GeV pizero going in a direction given by $\theta = 60$ degree and $\phi = 45$ degree
- Assume the photons are measured in a calorimeter with an energy resolution of 1%, θ and ϕ resolutions of 0.5 degree.
- Reconstruct back the pizero momenta using the constraint equation that the effective mass of the two-photon system will be pizero mass (0.1349739 GeV).
- Use a sample of 1000 photon pairs and plot the measured and fitted mass of the two-photon system

Fit Exercise 3

- Consider the process of W -pair production in an electron-positron collision (the two W 's going back to back and the total energy of the W 's is 189 GeV) and both the W 's decay to a pair of jets (use theta and phi of the first W to be the same as that of the pizero in exercise 2)
- Jets are measured in the calorimeter with an energy resolution of 10%, theta and phi resolution as in the previous exercise
- Generate a sample of 1000 such events and then reconstruct back W -mass using energy-momentum conservation constraint
- Add a second constraint that both the W 's have the same mass
- Compare the measured mass versus fitted mass from the two sets of fits