

# Optimization Procedure in the Search for Spin-0 Supersymmetric Partner of Top Quark Using $150 \text{ fb}^{-1}$ of $\sqrt{s} = 13 \text{ TeV}$ $pp$ Collisions using the ATLAS Detector

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Partikeldagarna 2018, Lund

# Introduction

What is supersymmetry?

$$Q|Fermion\rangle = |Boson\rangle$$

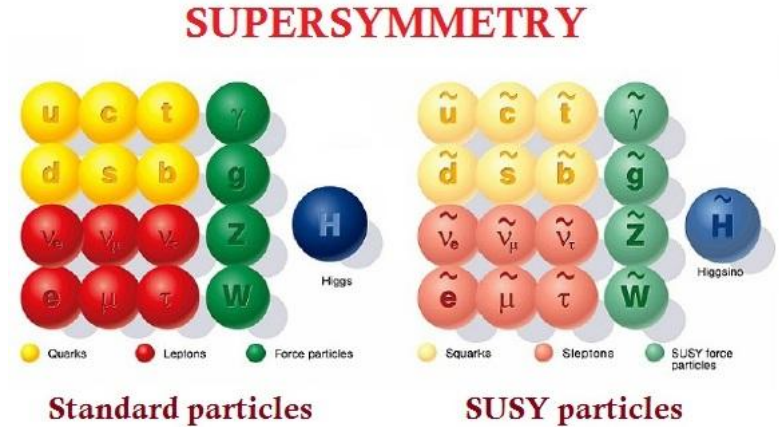


image : <https://ep-news.web.cern.ch>

What's so great about SUSY?

- Supersymmetric particles cancel SM particles on Higgs-boson mass contribution = **solves hierarchy problem**
- On some models, lightest supersymmetric particle is electrically neutral and interact weakly = **dark matter candidate**

# Mass-dependent signature

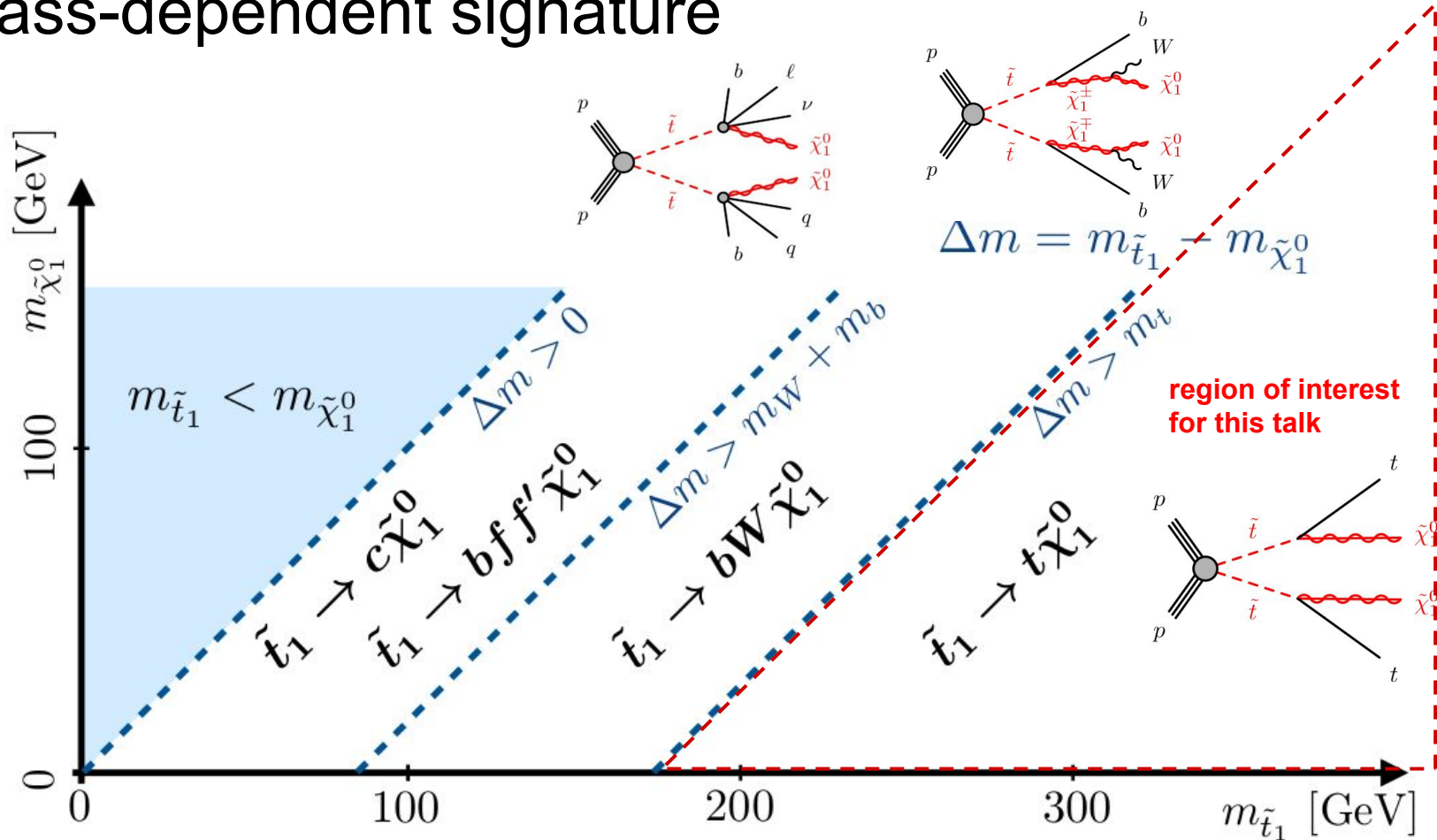


figure: [arXiv:1711.11520](https://arxiv.org/abs/1711.11520)

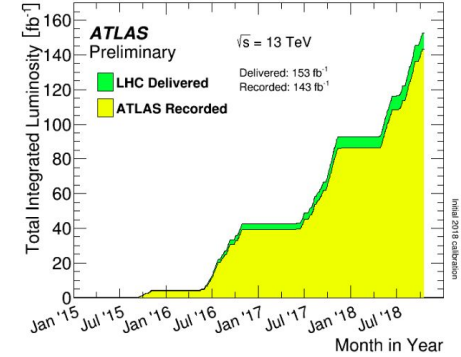
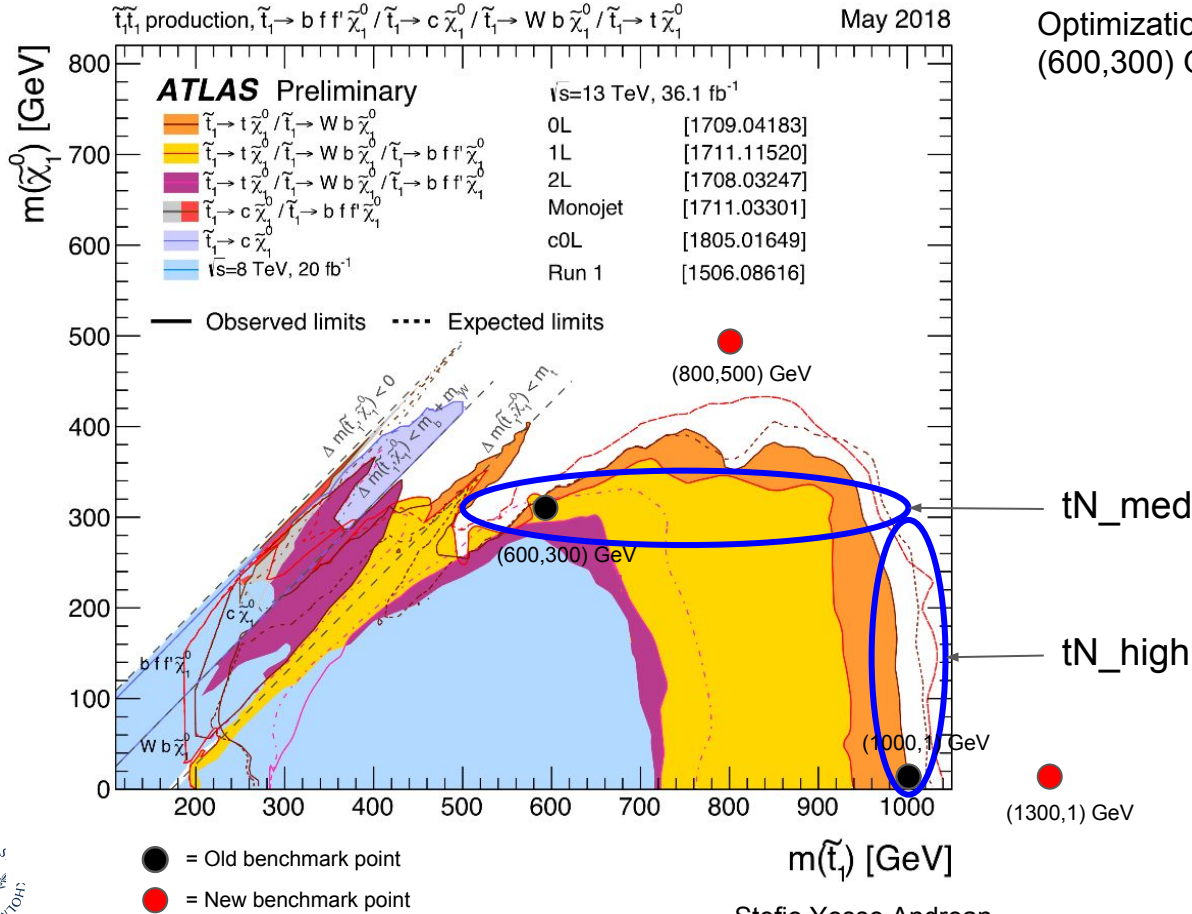


# Last result

Our **region of interest** is divided into two signal regions (SR): tN\_medium, and tN\_high

Optimization was done on **benchmark points**: (600,300) GeV and (1000,1) GeV; respectively

figure: [arXiv:1711.11520](https://arxiv.org/abs/1711.11520)



Lumi plot: <https://twiki.cern.ch/twiki/bin/view/AtlasPublic/LuminosityPublicResultsRun2>

With the new data volume, we need to re-optimize these with **new benchmark points!**



# Signal Characteristics

## Preselection

Variables	Preselection
Trigger	$E_T^{\text{miss}}$ trigger
Data quality	jet cleaning, primary vertex
Second lepton veto	no additional baseline lepton
Number of lepton, tightness	= 1 'loose' lepton
Lepton $p_T$ [GeV]	> 25
$N_{\text{jet}}, N_{\text{b-jet}}$	( $\geq 4, \geq 0$ )
Jet $p_T$ [GeV]	> (25, 25, 25, 25)
$E_T^{\text{miss}}$ [GeV]	> 230
$m_T$ [GeV]	> 30
$m_{T2}$ based $\tau$ -veto [GeV]	> 80
$\Delta\phi(j_{1,2}, \vec{p}_T^{\text{miss}})$	> (0.4, 0.4)

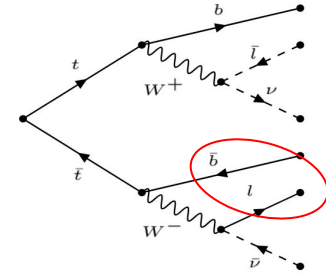
Variables to optimize:

1.  $N_{\text{jet}}$
2.  $N_{\text{b-jet}}$
3. Leading jet  $p_T$
4.  $E_T^{\text{miss}}$
5.  $E_{T,\perp}^{\text{miss}}$
6.  $H_{T,\text{sig}}^{\text{miss}}$
7.  $m_T$
8.  $am_{T2}$
9.  $m_{\text{top}}^{\text{reclustered}}$
10.  $\Delta R(b, l)$

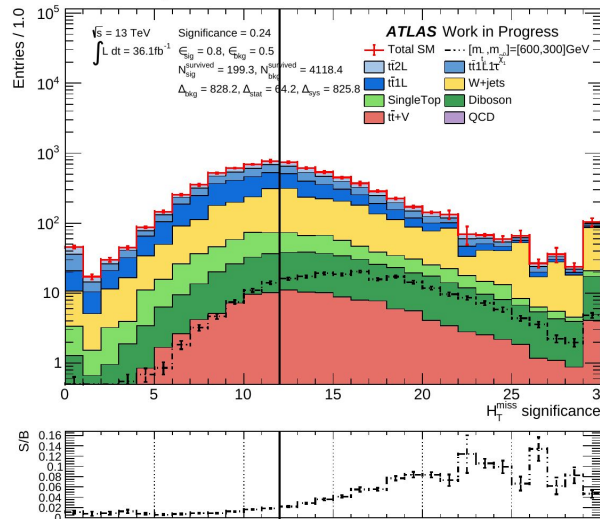
$$H_{T,\text{sig}}^{\text{miss}} = \frac{|\vec{H}_T^{\text{miss}}| - M}{\sigma_{|\vec{H}_T^{\text{miss}}|}}$$

$H_T$  is the negative vectorial sum of the signal jet and signal lepton momenta.  
 $\sigma_{|\vec{H}_T^{\text{miss}}|}$  is calculated from jet energy uncertainties.  
 Targets events with no invisible particles

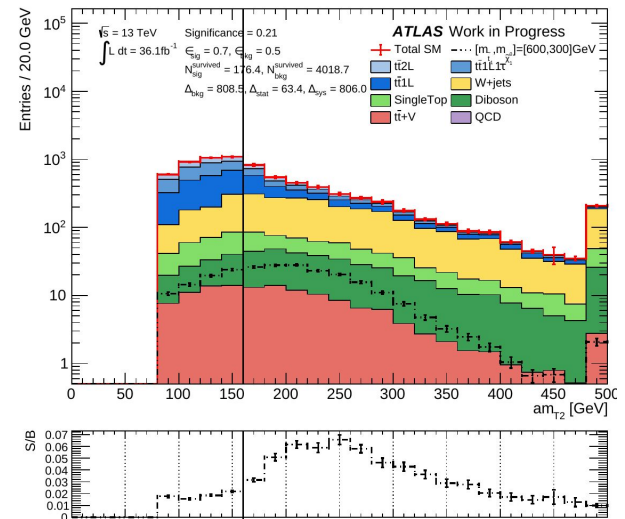
$am_{T2}$  targets dileptonic  $t\bar{t}b\bar{b}$  events where one of the lepton is not reconstructed.



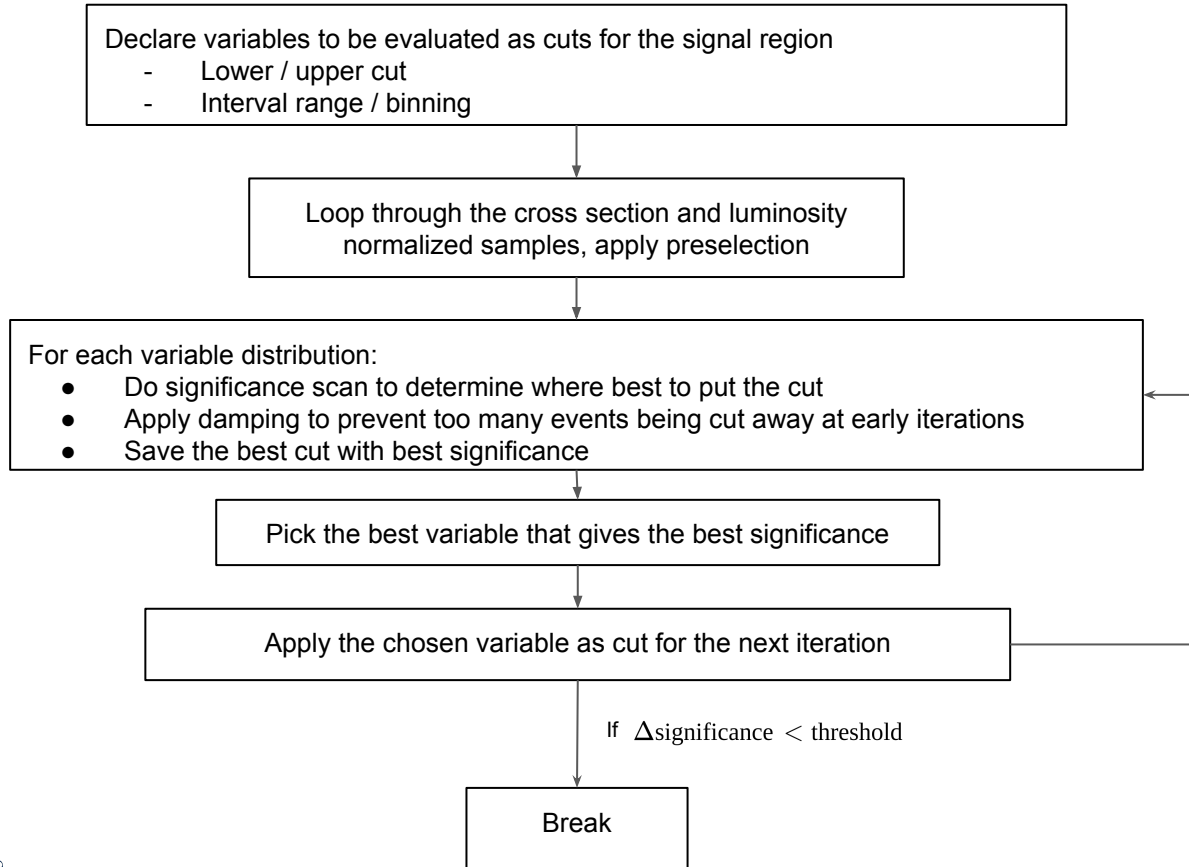
$H_T^{\text{miss}}$  significance scan - Iteration 1



$am_{T2}$  scan - Iteration 1



# The Optimization Algorithm

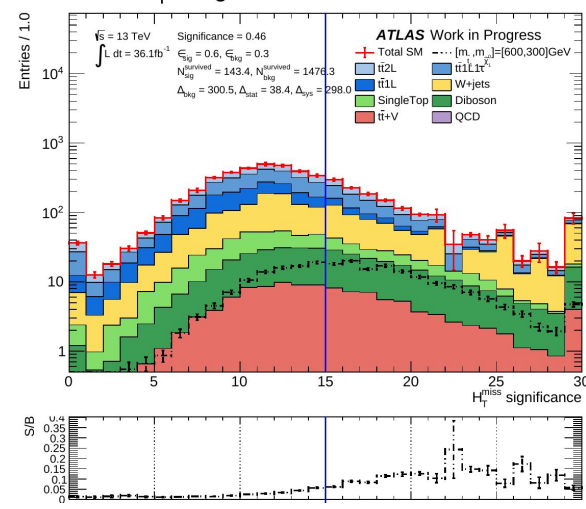
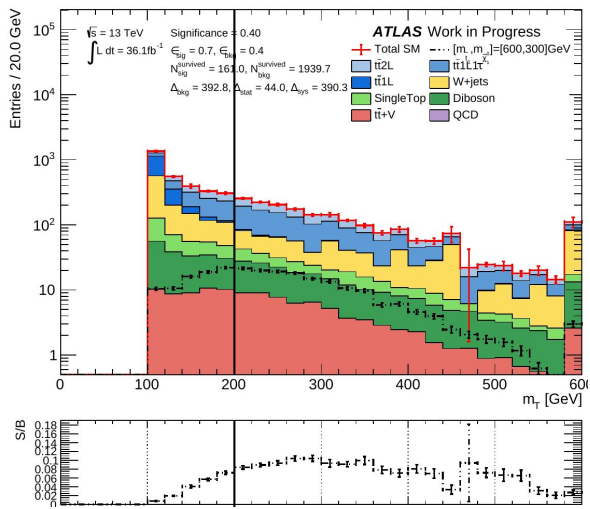
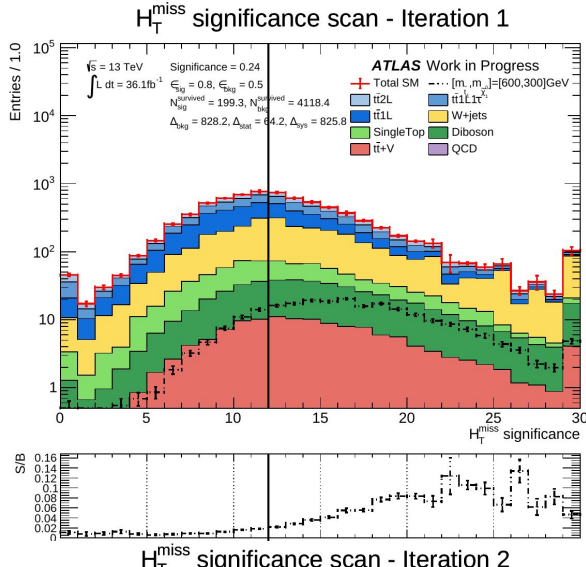
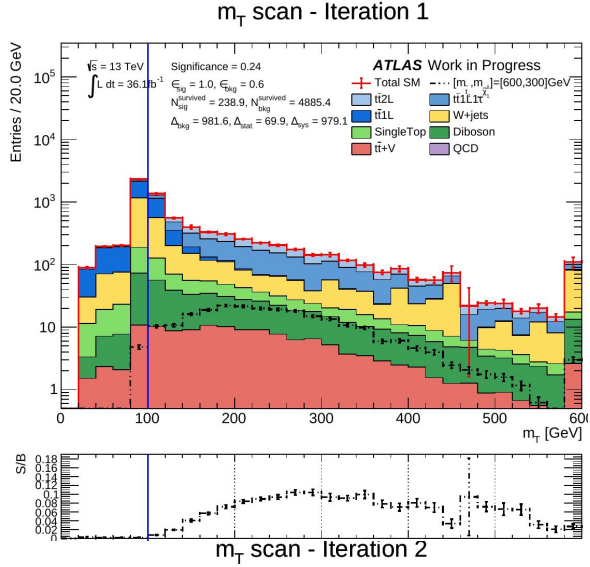


Damping:  $\epsilon_{bkg} > \frac{0.5}{2^{n-1}}$

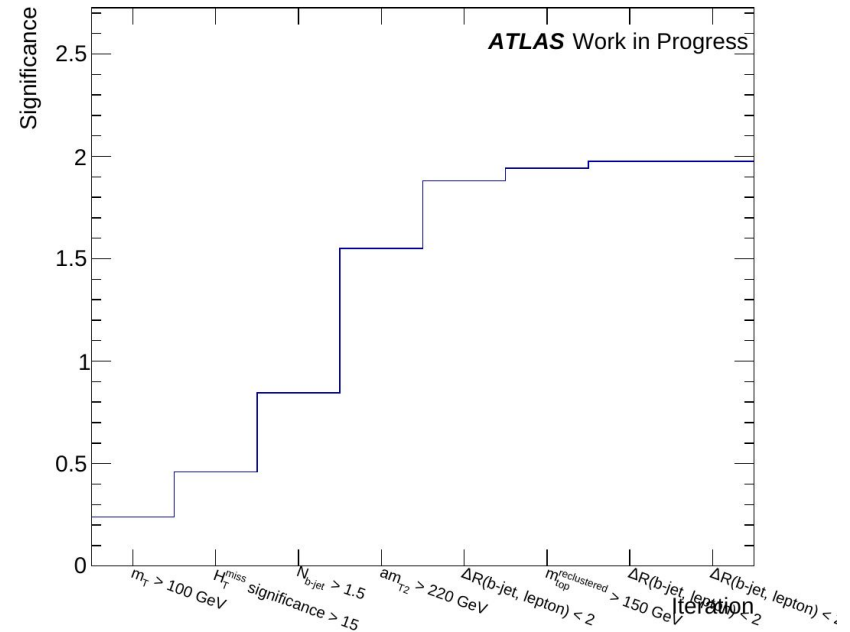
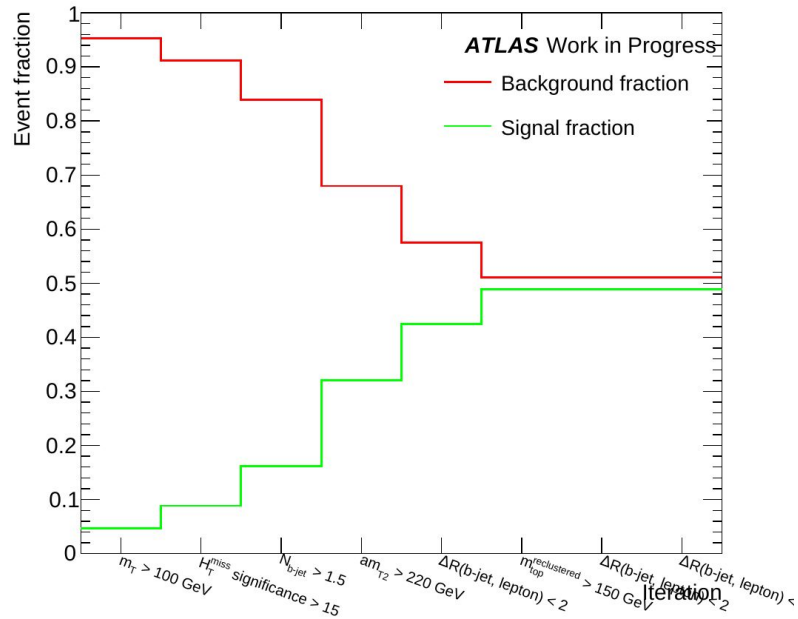
$$\Delta_{bkg} = \sqrt{\Delta_{stat}^2 + \Delta_{sys}^2}$$
$$\Delta_{sys} = \sqrt{(0.2B)^2 + (\Delta_{MC})^2}$$

Significance calculation according to <https://www.pp.rhul.ac.uk/~cowan/stat/notes/SigCalcNote.pdf>

# A look at the output



# Output



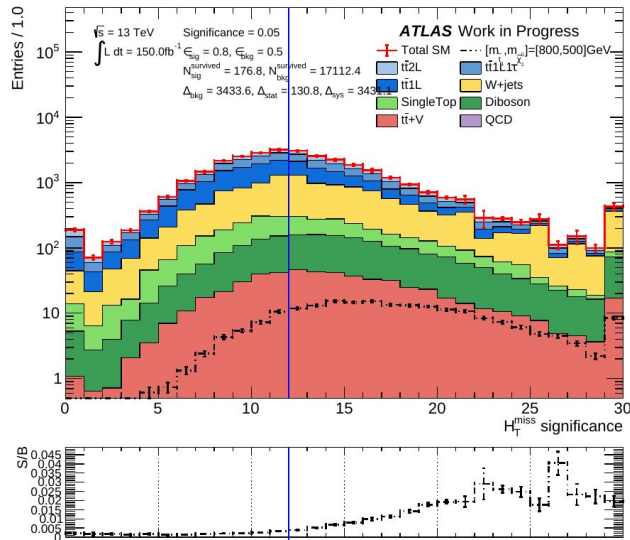
At each iteration, the signal fraction increases, which translates to improvement in significance

Then, the cuts are collected to define the signal region

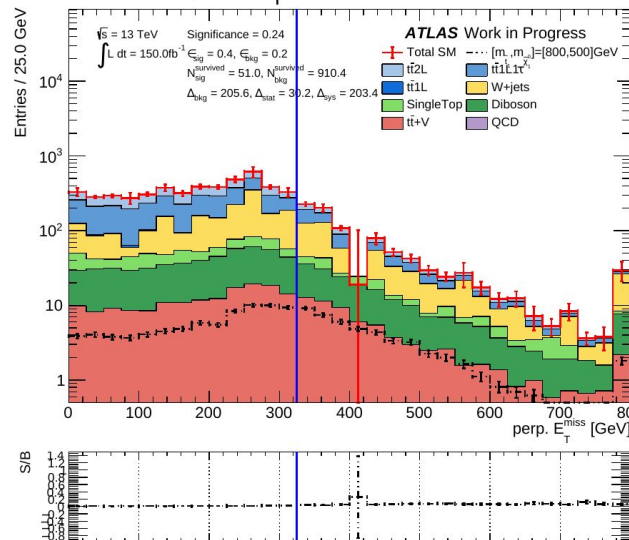


# Run on $150 \text{ fb}^{-1}$ simulated data, using new benchmark point: $(m_{\tilde{t}}, m_{\tilde{\chi}}) = (800, 500) \text{ GeV}$

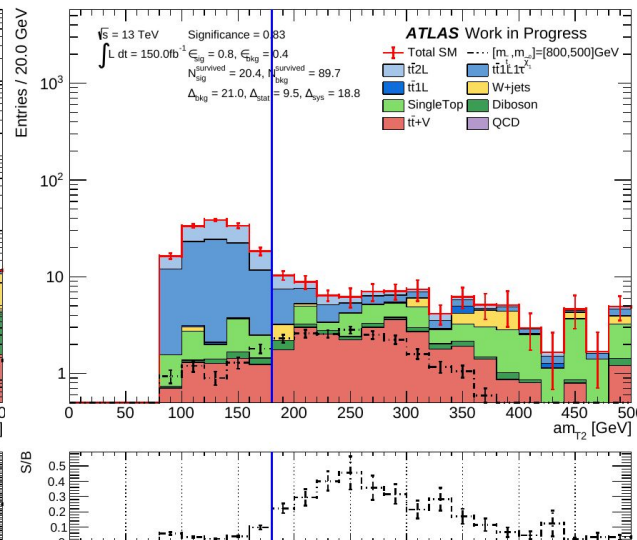
## $H_T^{\text{miss}}$ significance scan - Iteration 1



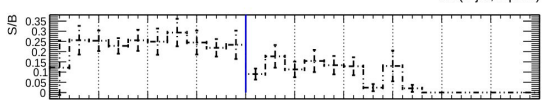
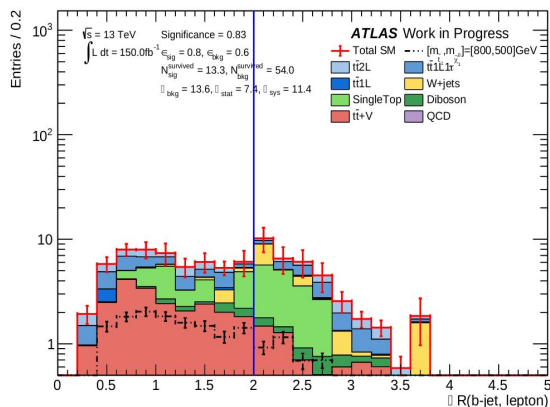
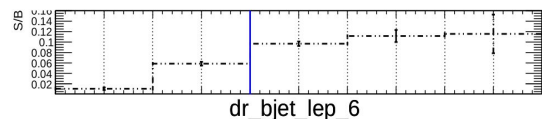
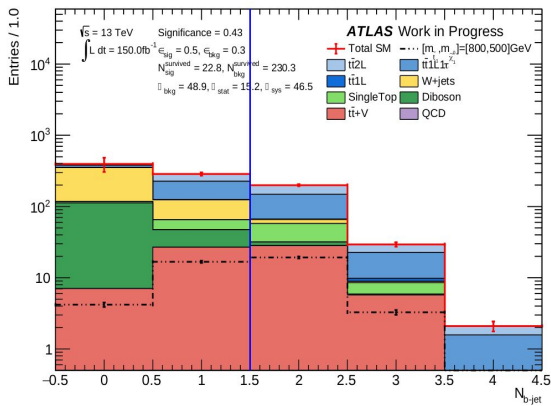
## perp. $E_T^{\text{miss}}$ scan - Iteration 3



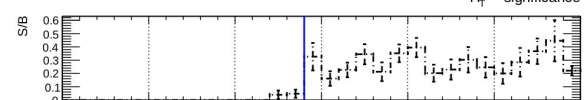
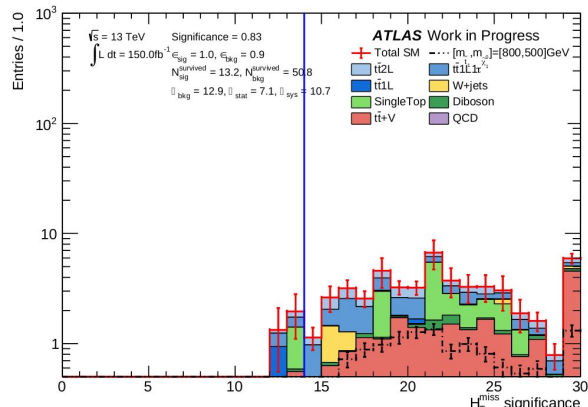
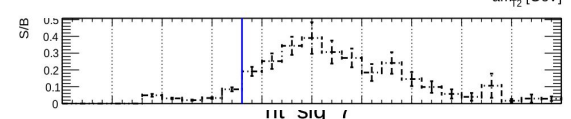
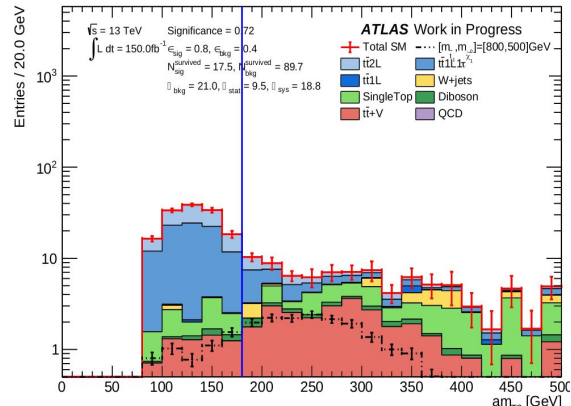
## $am_{T2}$ scan - Iteration 5



n\_bjet\_4



amt2\_5



# Output Summary

Cuts	$m(\tilde{t}, \tilde{\chi}_1^0) = (600, 300) \text{ GeV}, 36.1 \text{ fb}^{-1}$	$m(\tilde{t}, \tilde{\chi}_1^0) = (800, 500) \text{ GeV}, 150 \text{ fb}^{-1}$
$N_{\text{jet}}, N_{\text{b-jet}}$	$(\geq 4^*, \geq 2)$	$(\geq 4^*, \geq 2)$
Jet $p_T$ [GeV]	$> (25, 25, 25, 25)^*$	$> (25, 25, 25, 25)^*$
$E_T^{\text{miss}}$ [GeV]	$> 230^*$	$> 230^*$
$E_{T,\perp}^{\text{miss}}$ [GeV]	-	$> 325$
$H_{T,\text{sig}}^{\text{miss}}$	$> 15$	$> 14$
$m_T$ [GeV]	$> 100$	$> 200$
$am_{T2}$ [GeV]	$> 220$	$> 180$
$m_{\text{top}}^{\text{reclustered}}$ [GeV]	$> 150$	-
$\Delta R(b, l)$	$< 2.0$	$< 2.0$

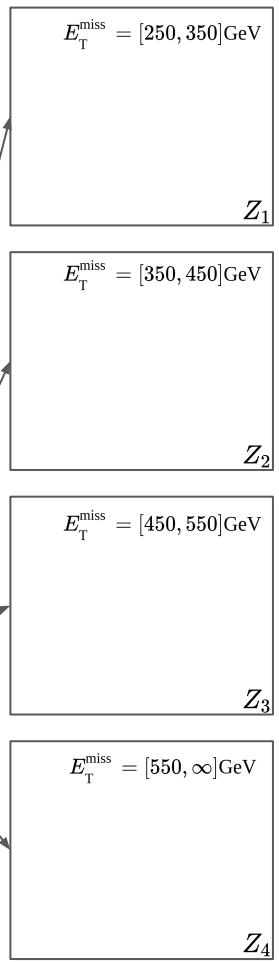
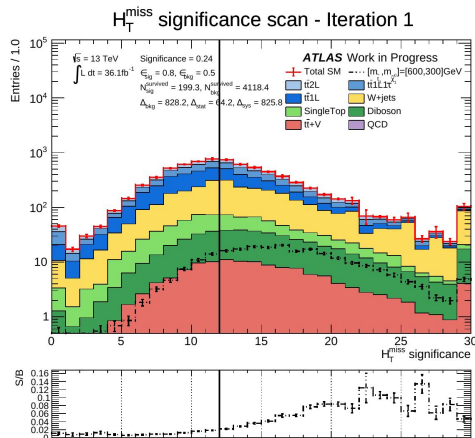
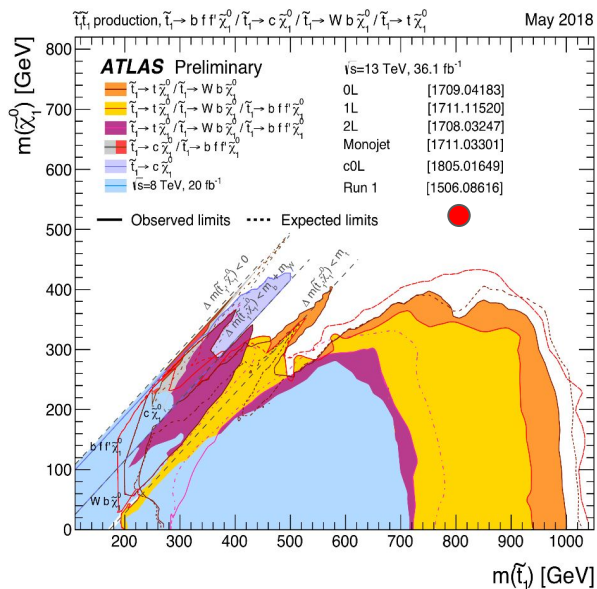
\* = applied by preselection

So now we have we working algorithm that can choose optimum cuts.  
But these are not the final cuts yet...

# Sensitivity Improvement by $E_T^{\text{miss}}$ slicing

We optimize at a specified point, but we don't know how much of an area will that cover.

To maximize the sensitivity area:  
Split the variable distribution into different  $E_T^{\text{miss}}$  slices.



Do the significance ( $Z_i$ ) scan on these slices.

Combine  $Z_i$ 's into  $Z_{\text{comb}}$

Maximize  $Z_{\text{comb}}$

This will protect us from  $E_T^{\text{miss}}$  dependency of the signal point

Work in progress...

figure: [arXiv:1711.11520](https://arxiv.org/abs/1711.11520)



# Conclusion

- Re-optimization is necessary to benefit from this increase in data
  - New variables and technique, eg. boosted top tagging
- Framework for re-optimization is demonstrated

## Next steps:

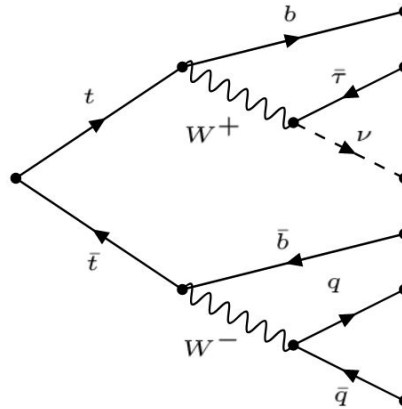
- Investigate slicing in  $E_T^{\text{miss}}$  to further improve the significance
- Study how the new Signal Region(s) impact the Control Regions

The very significant increase in data set size ( $36 \text{ fb}^{-1}$ ) to now  $150 \text{ fb}^{-1}$  will allow us to probe a significantly larger part of the parameter space, stay tuned!

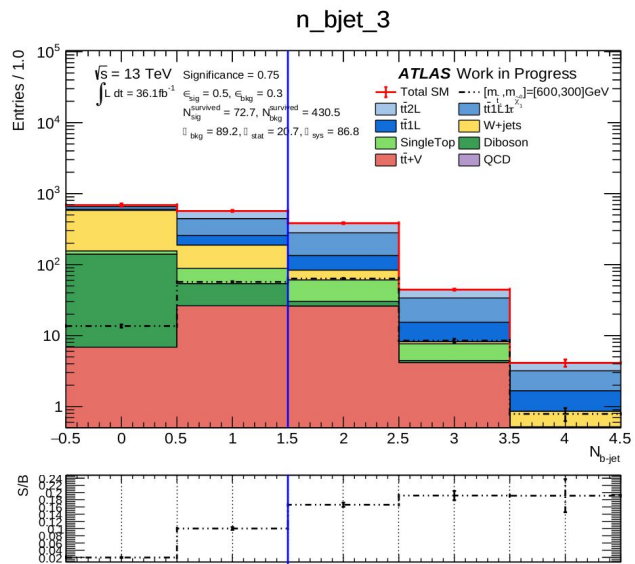
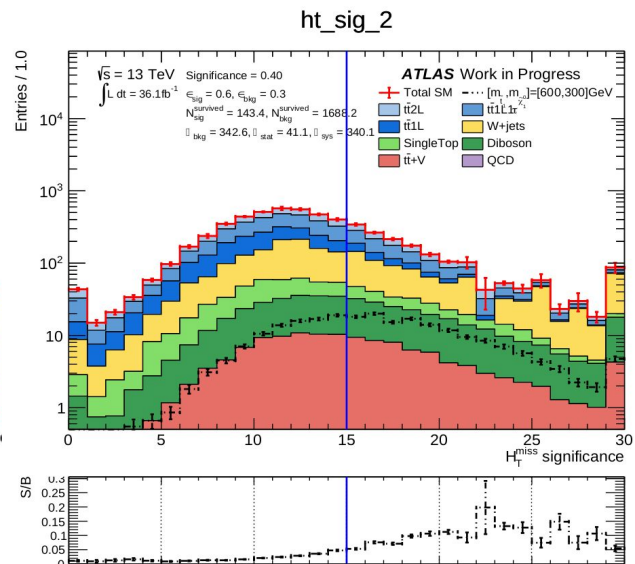
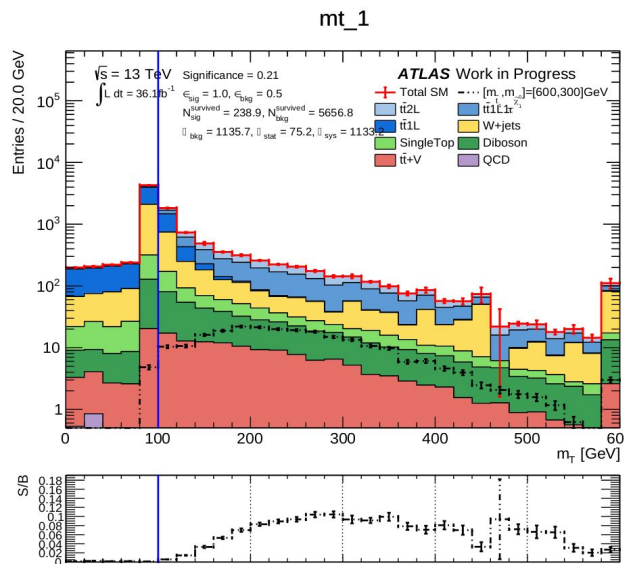
# BACKUP

# Additional Variables Info

$m_{T2}^{\text{tau}}$  targets  $t\bar{t}$  events where one of the  $W$  bosons decays via hadronic tau.

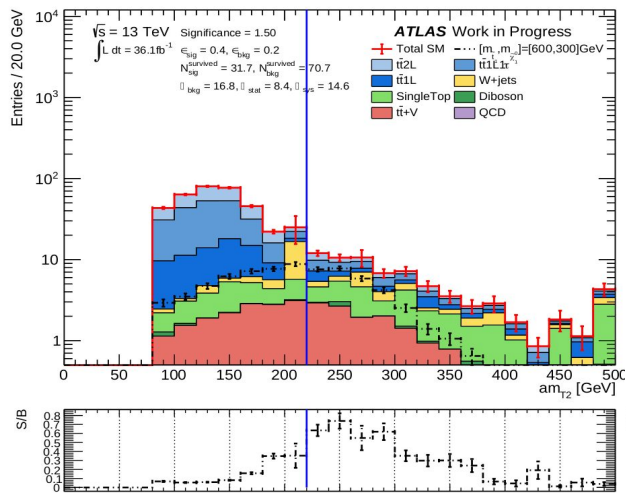


# Cut at every iteration, run $36 \text{ fb}^{-1}$

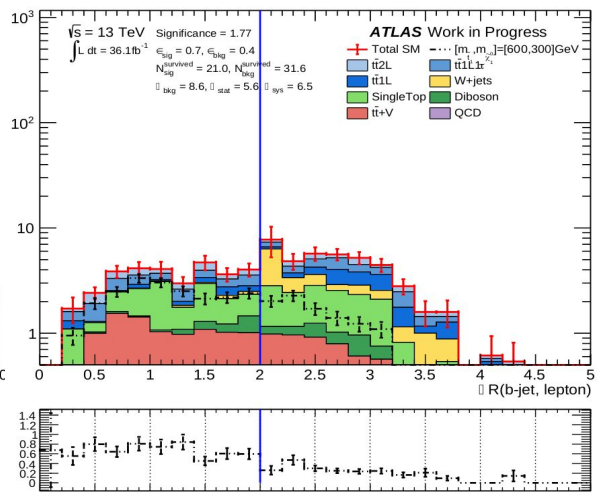




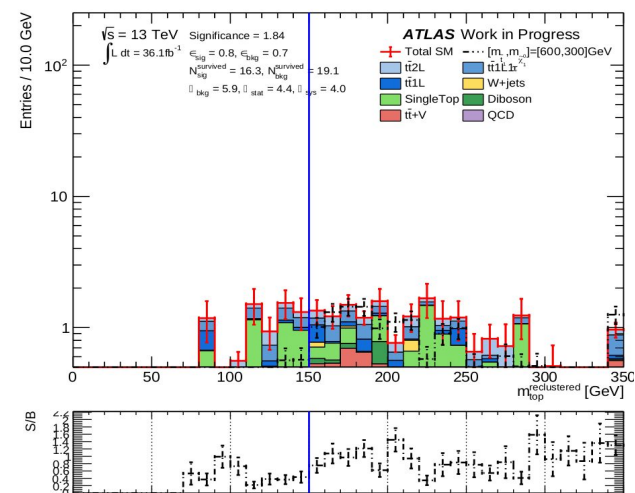
amt2\_4



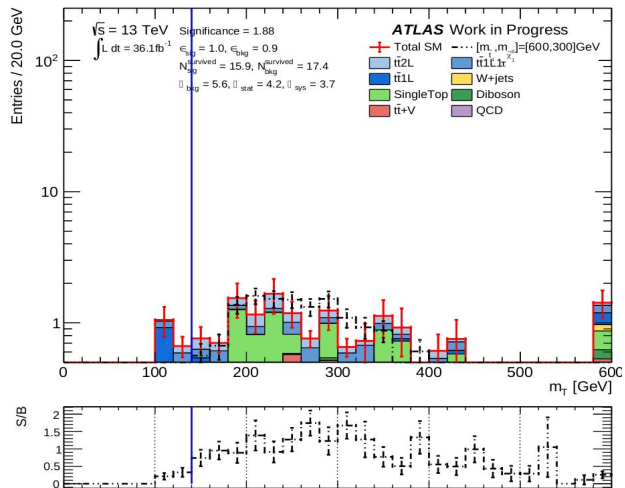
dr\_bjet\_lep\_5



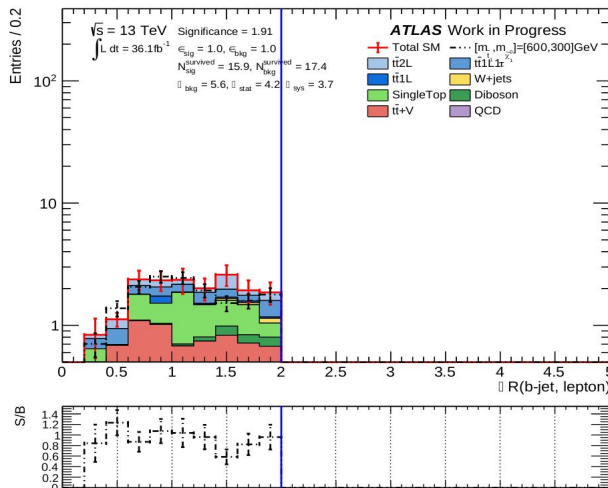
hadtop\_cand\_m[0]\_6



mt\_7



dr\_bjet\_lep\_8



dr\_bjet\_lep\_9

