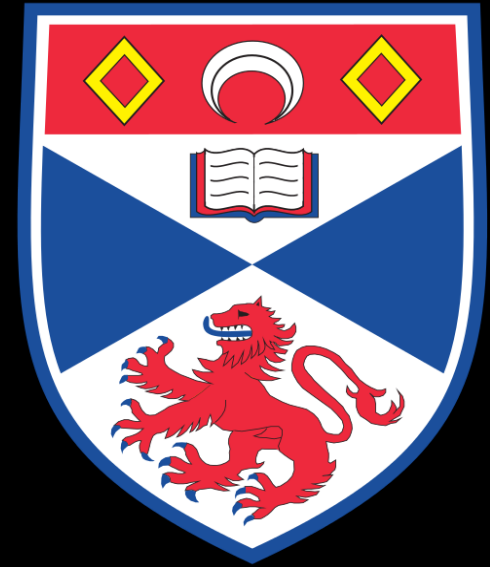


Could enhanced
structure formation
ease large-scale
cosmological
tensions?

By Alfie Russell

Supervisors: Hongsheng Zhao & Indranil Banik
Summer student: Oscar Cray



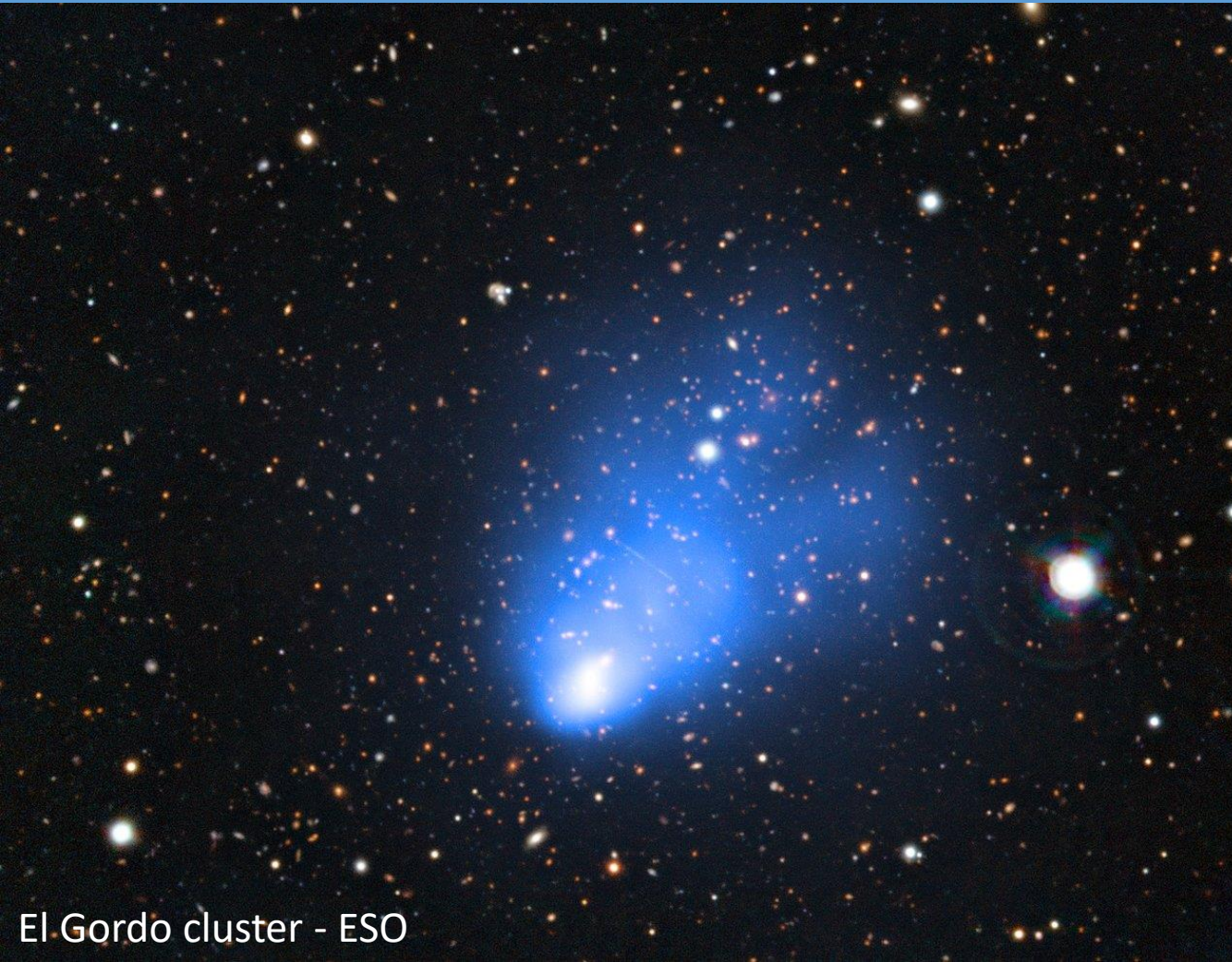
University of St
Andrews

Introduction

- Large-scale tensions in cosmology
- My simulations
- H_0 and q_0 within a Local Hole
- Local bulk flows and bulk flow reversal

Large-scale tensions in cosmology

Enhanced structure formation

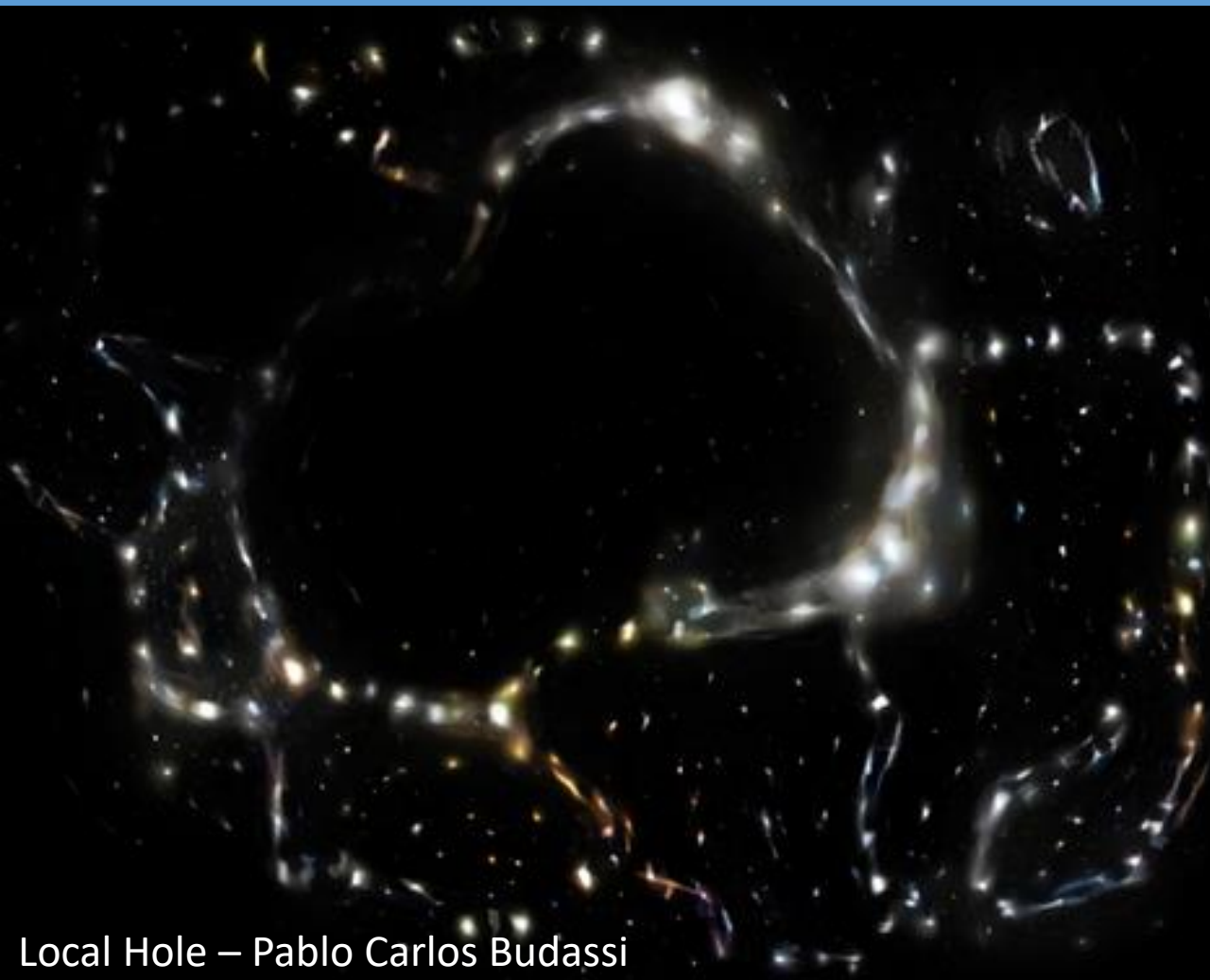


High local bulk flows (Watkins+ 2023)

High velocity cluster mergers
(Asencio+ 2023)

High redshift galaxies (Robertson+
2023)

Supervoids and the Local Hole



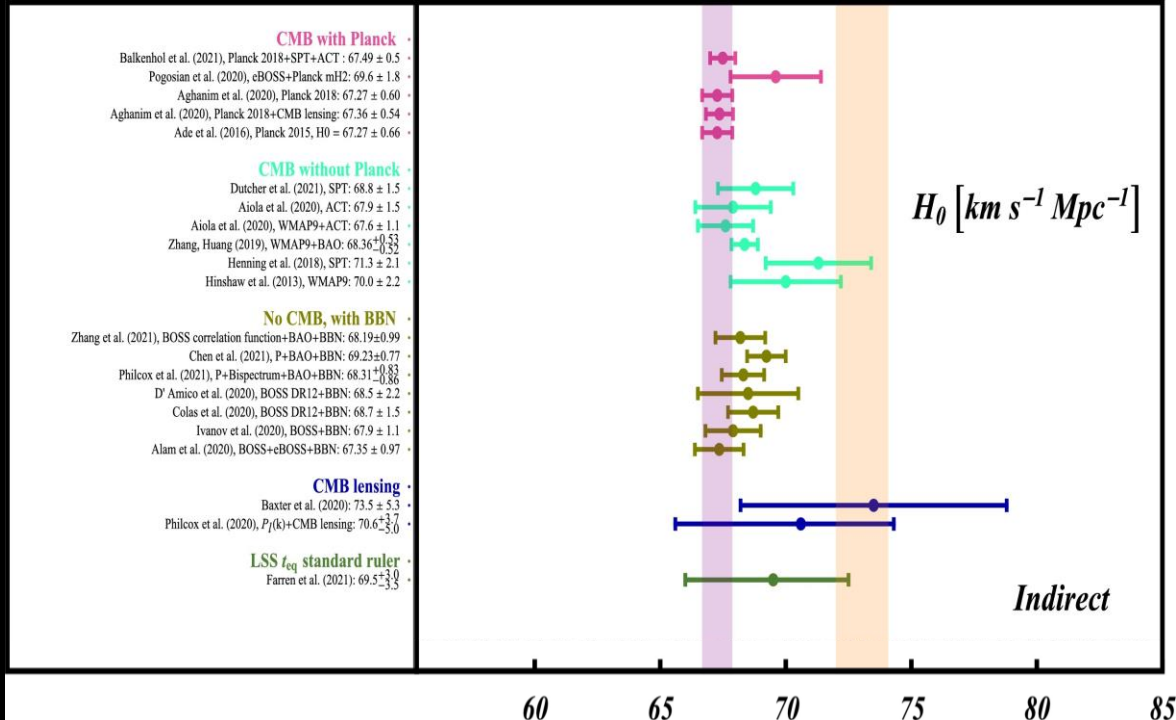
“Local Hole” with 120 Mpc radius
observed in near-IR, X-ray and radio
(Wong+ 2022; Böhringer+ 2015;
Rubart+ 2014)

$$\delta = -0.20 \pm 0.02 \text{ (Wong+ 2022)}$$

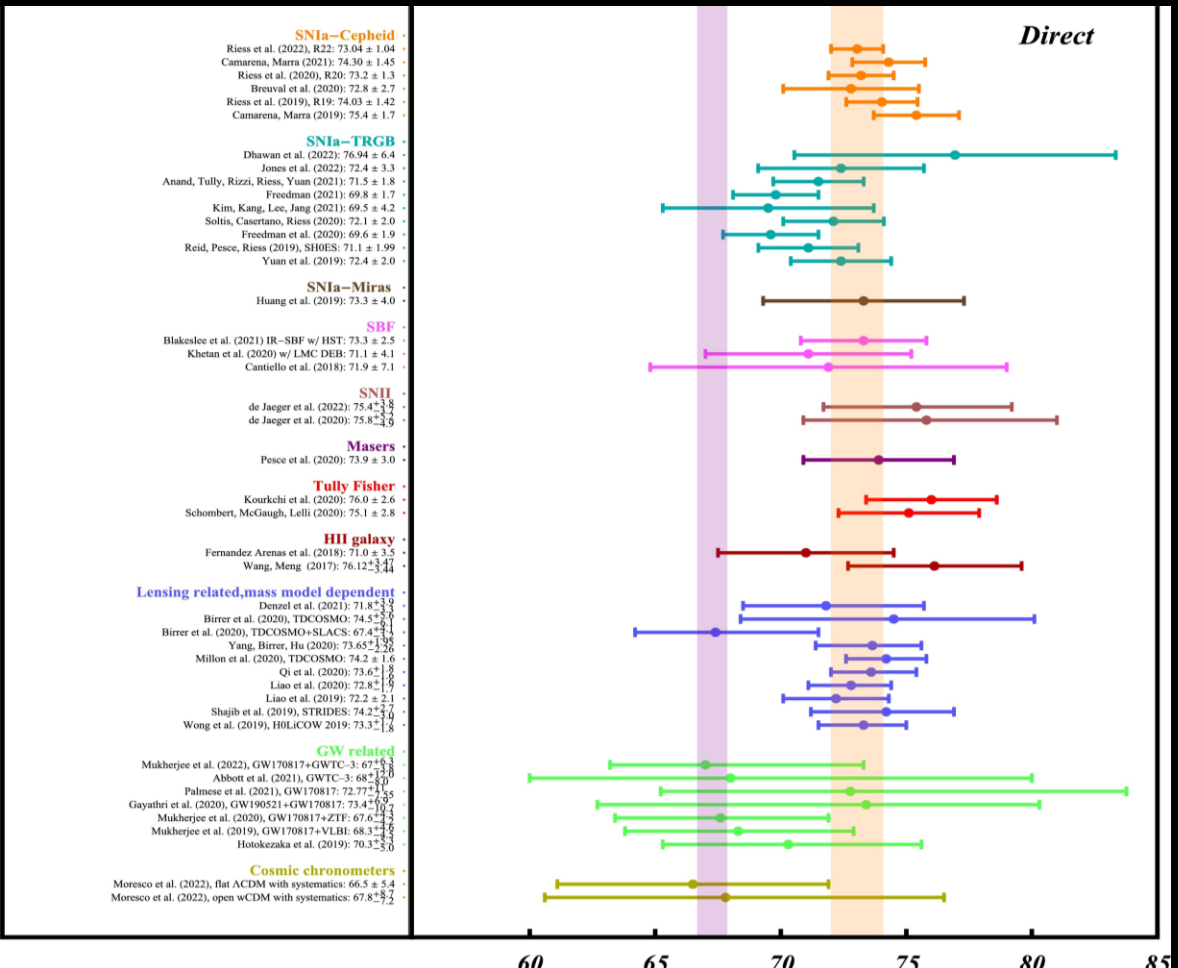
Overproduction of ~ 100 Mpc voids
inferred from Integrated Sachs-Wolfe
effect (Kovács+ 2019; Kovács+ 2022)

The Hubble Tension

Early-time and late-time measurements of H_0 disagree! Related to the Local Hole?



Cosmology Intertwined 2021





How to simulate enhanced
structure formation?

Simulating enhanced structure formation

Use the “vHDM” model to simulate enhanced structure formation (Angus 2009)

Self-consistently produces 100s Mpc scale supervoids (Angus+ 2013)

Not a perfect model!

- e.g., does not reproduce observed cumulative halo mass function

Components of vHDM

The v is the MOND interpolation function, $v(y)$:

$$v\left(\frac{g_N}{a_0}\right) = \frac{1}{2} + \sqrt{\frac{1}{4} + \frac{a_0}{g_N}} \quad \rightarrow \quad g_{tot} = v\left(\frac{g_N}{a_0}\right) g_N$$

$$a_0 = 1.2 \times 10^{-10} m s^{-2}$$

The HDM is Hot Dark Matter (11eV sterile neutrinos)

Assume FRLW background metric and use Planck 2018 parameters

Comparisons and vantage points

Useful to know how changing the model changes results, so run comparison simulations

- Λ CDM – Newtonian gravity + Cold Dark Matter initial conditions
- Λ HDM – Newtonian gravity + Hot Dark Matter initial conditions
- ν CDM – MONDian gravity + Cold Dark Matter initial conditions

Use “Vantage points” to probe observables

- Split simulation box into 25^3 smaller chunks
- Search for a reference particle in each chunk to measure observables from
- Particles roughly correlate with where galaxies should be

Simulation parameters

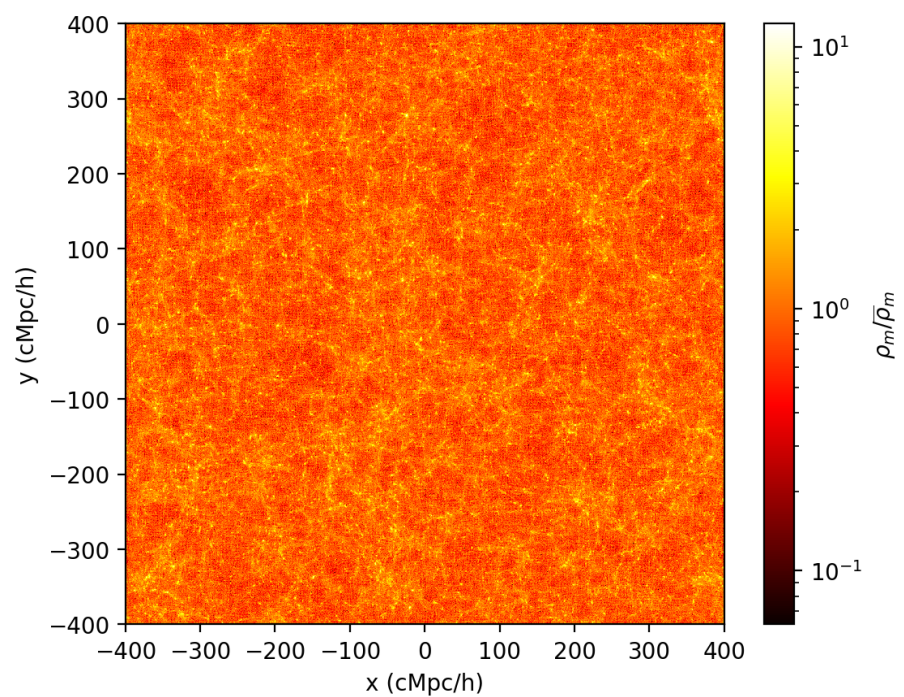
Cosmological collisionless N-body simulations using “Phantom of Ramses” code (Teyssier 2002; Lüghausen 2014)

$$\nabla \cdot \vec{g}_{tot} = \nabla \cdot \left[v \left(\frac{g_N}{a_0} \right) \vec{g}_N \right]$$

800 cMpc/h box length and 256^3 particles

Initialised at $z=199$ and initial conditions produced with CAMB and MUSIC (<https://bitbucket.org/SrikanthTN/bonnpur/src/master/>)

For smaller scale hydrodynamical simulations of vHDM see Wittenburg+ 2023



Λ CDM

Λ HDM

Density maps

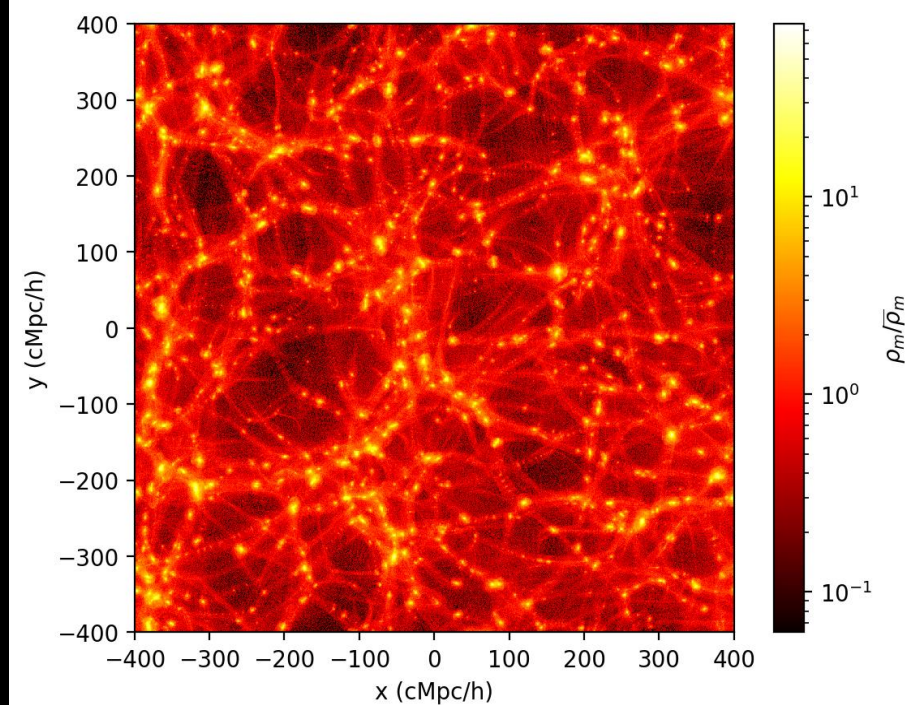
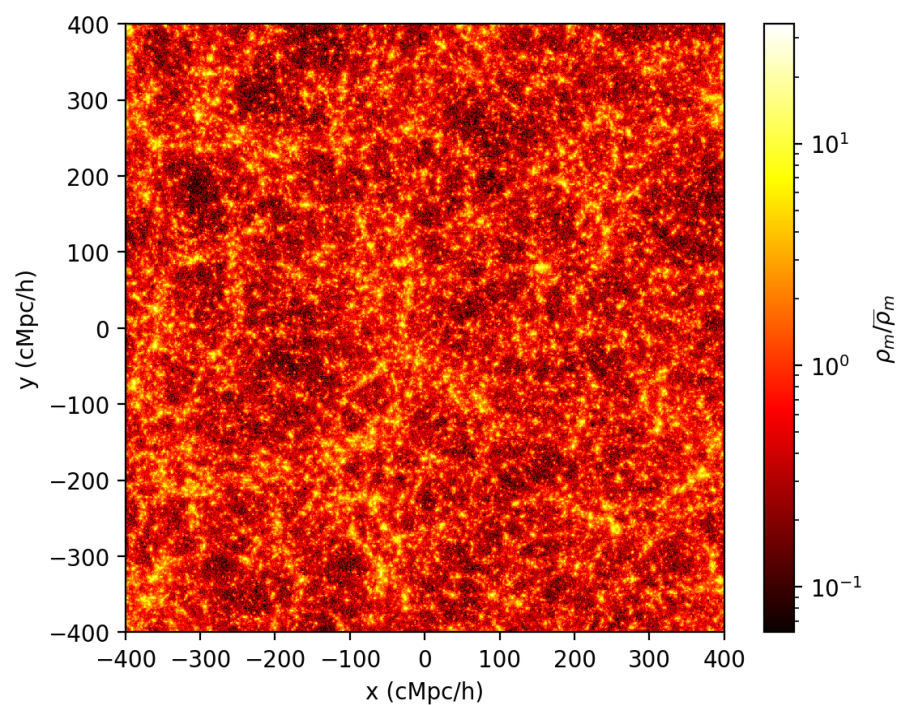
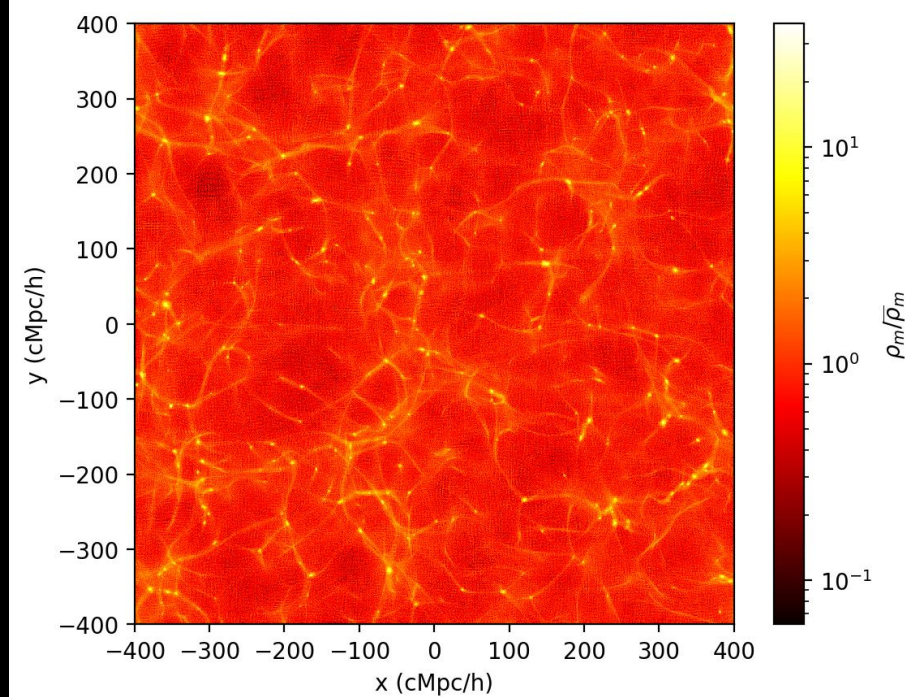
Projected through
whole box at $z = 0$

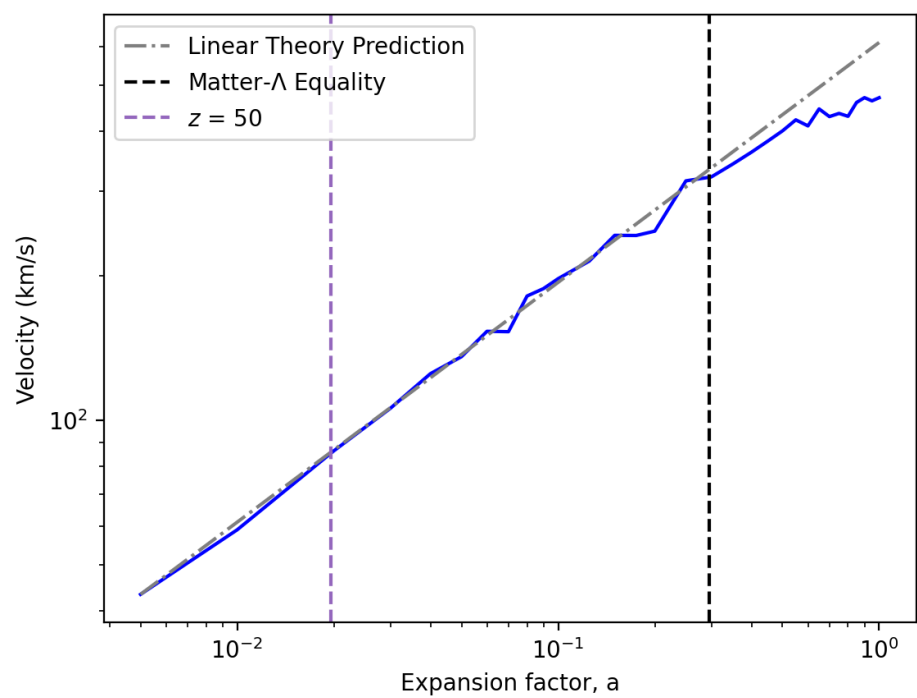
Large-scale structure
enhanced by HDM

All structure
enhanced by MOND
gravity

ν CDM

ν HDM

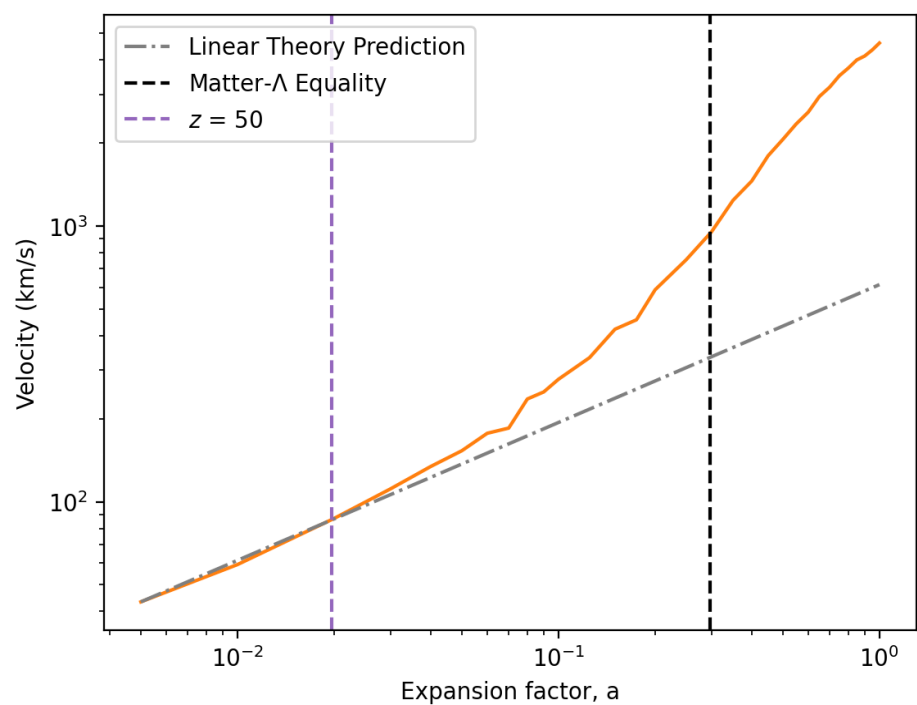




Λ CDM Λ HDM

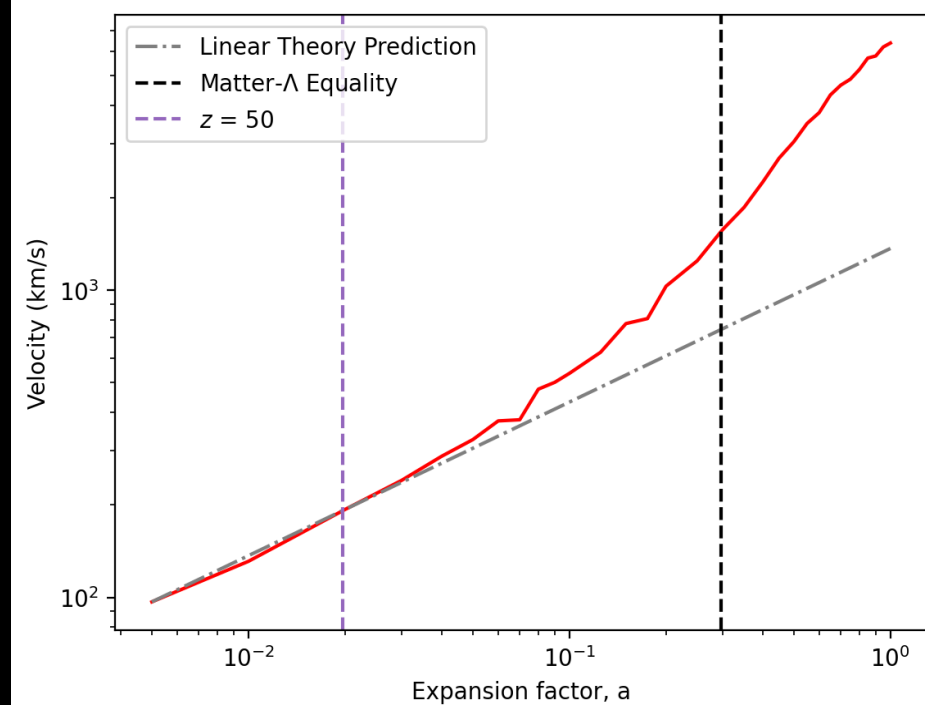
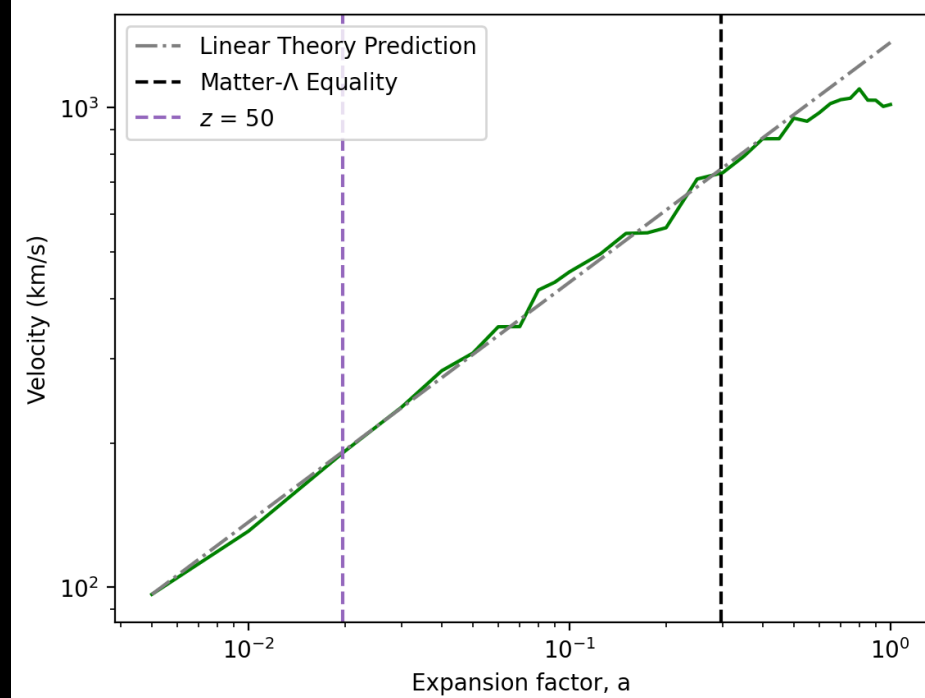
Median peculiar velocity growth

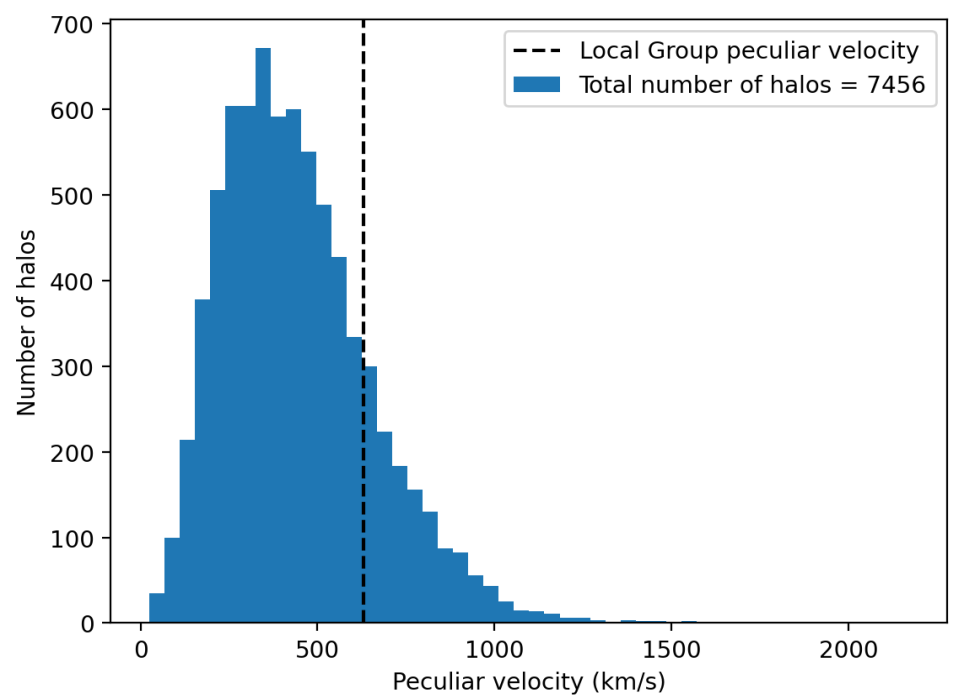
All follow Newtonian linear theory at early-times



MOND enhancement begins once background density low enough ($z = 50$)

ν CDM ν HDM



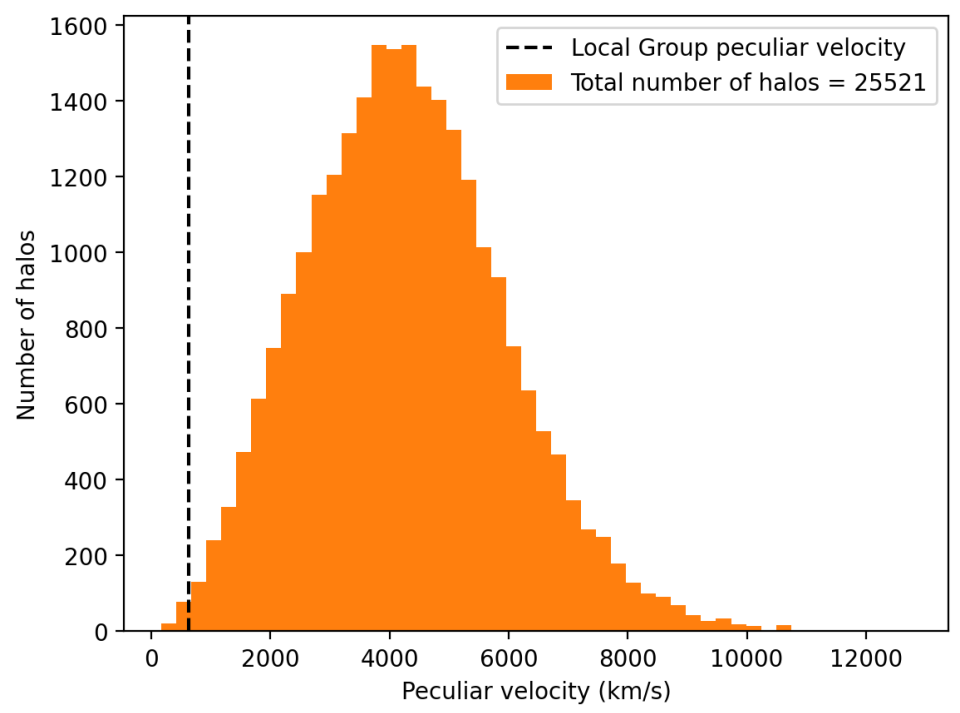
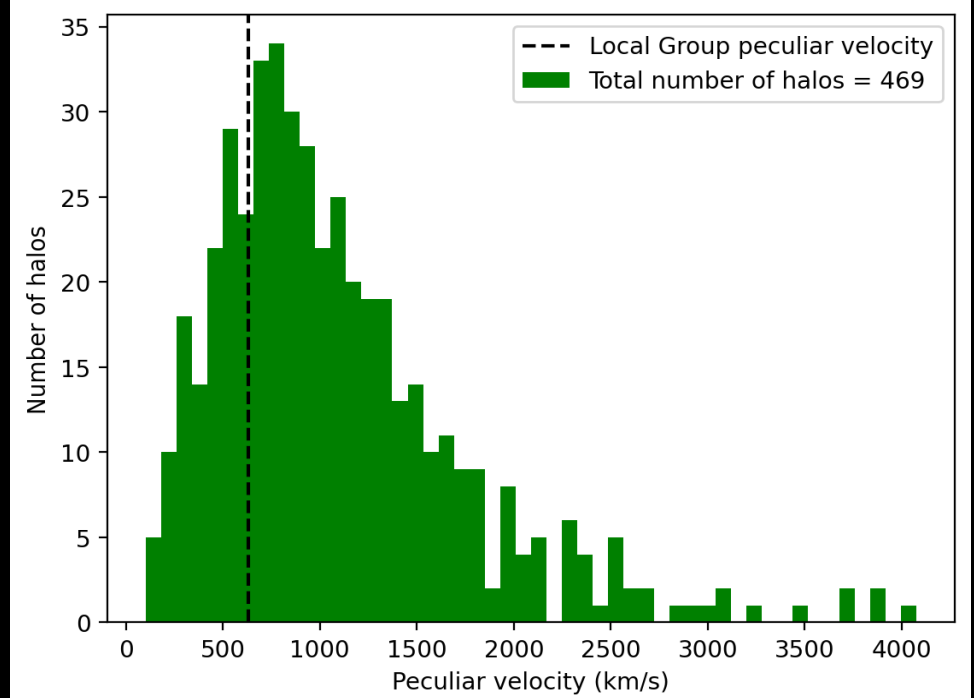


Λ CDM Λ HDM

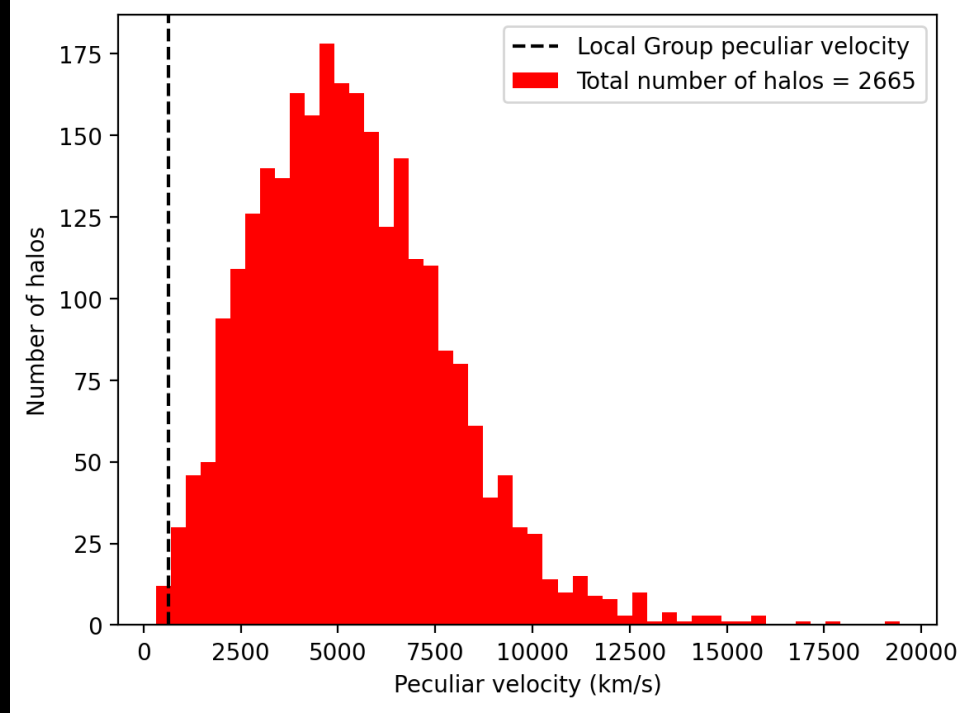
Peculiar velocity distributions

($z = 0$)

Slight enhancement due to HDM initial conditions

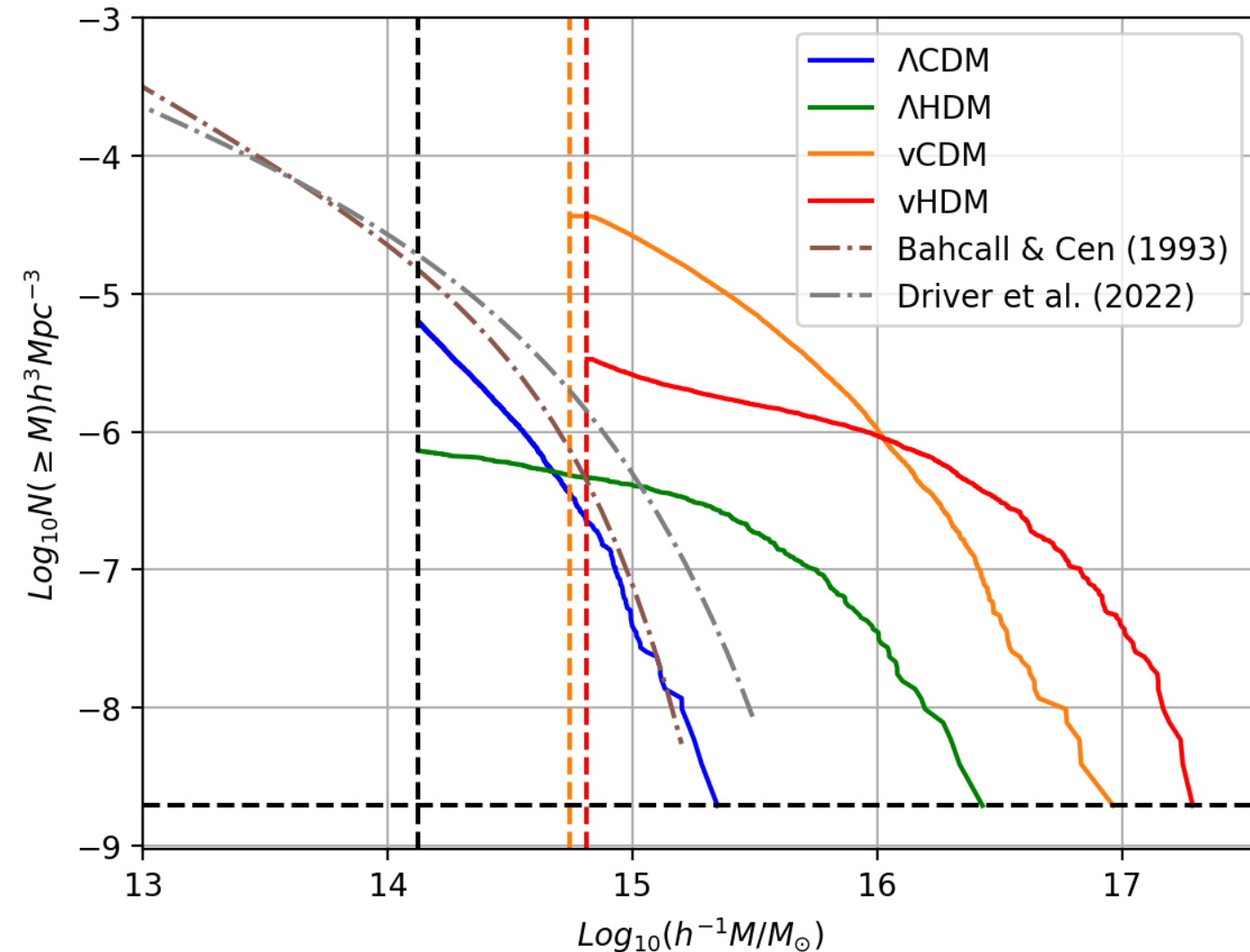


Major enhancement due to MOND gravity



ν CDM ν HDM

Cumulative Halo Mass Function



$$M_{180} \equiv 180\rho_{crit} \left(\frac{4}{3}\pi R_{180}^3 \right)$$

$$M_N = v \left(\frac{g_N}{a_0} \right) M_{180}$$

Scaling relations preserved
when changing gravity law,
normalisation is modified

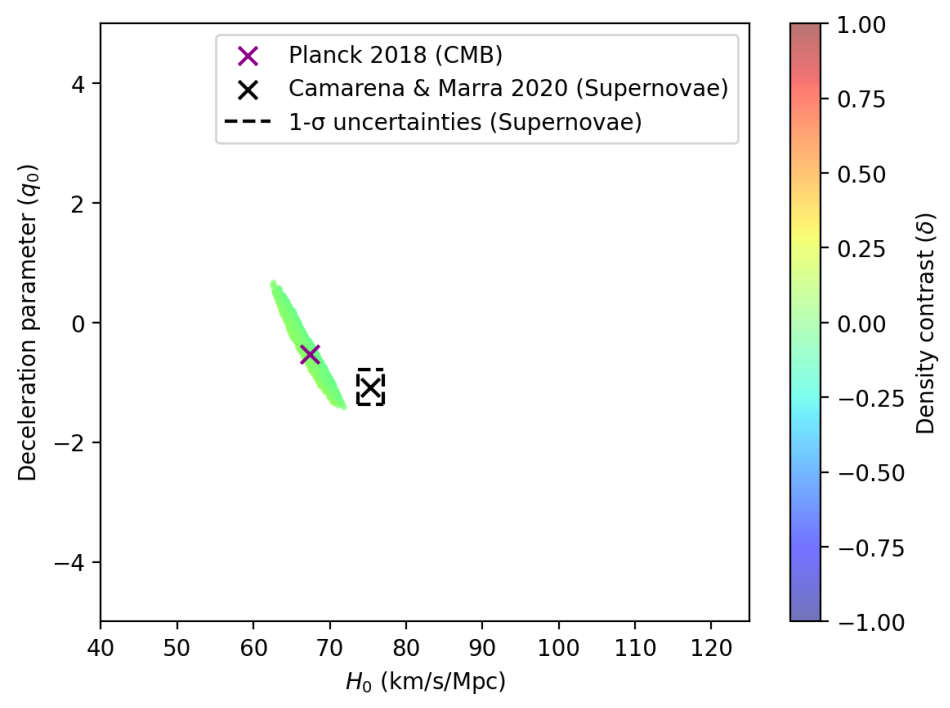
*H*₀ and *q*₀ within a Local Hole

The local deceleration parameter: an oddity

Deceleration parameter is defined as $q \equiv -\frac{\ddot{a}a}{\dot{a}^2}$

Should find $q_0 = \frac{1}{2}\Omega_m - \Omega_\Lambda \rightarrow q_0 = -0.53$ with Planck 2018

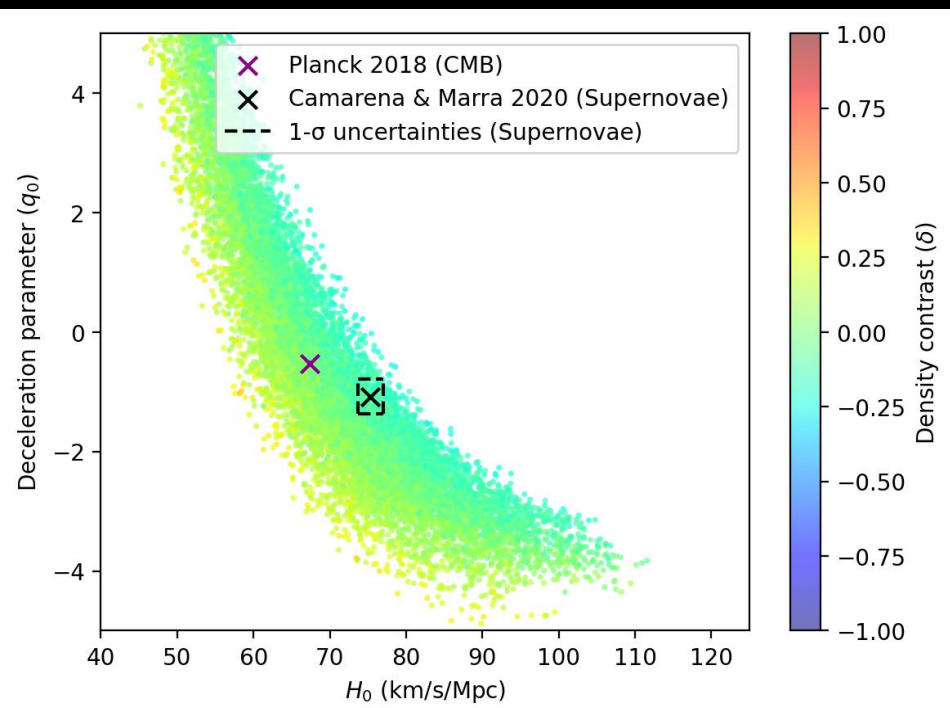
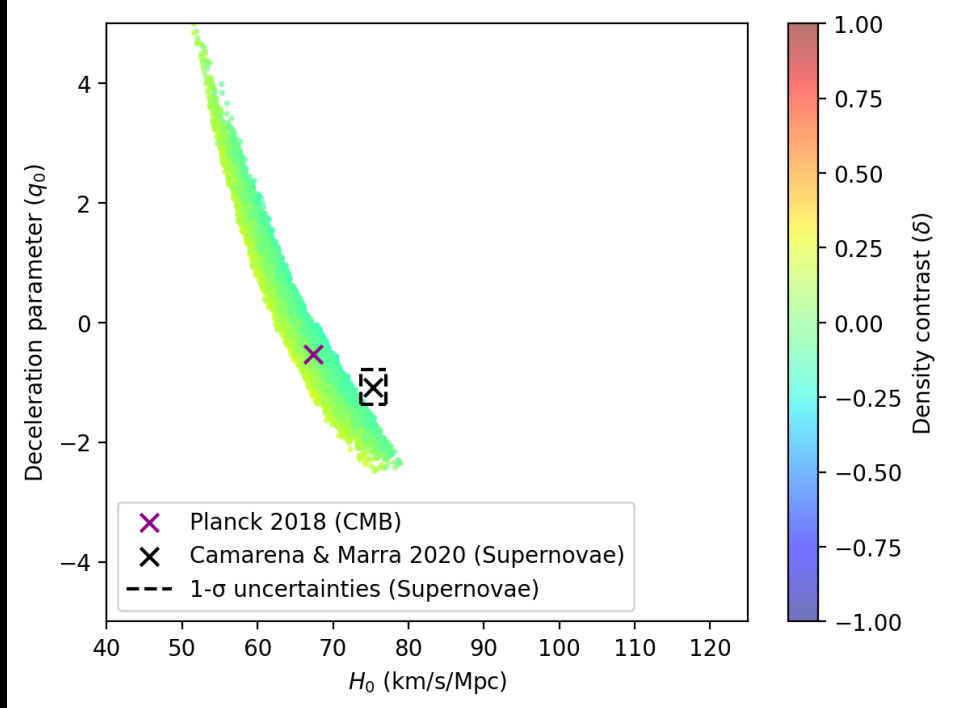
Local measurements with supernovae find $q_0 = -1.08 \pm 0.29$
(Camarena & Marra 2020)



Λ CDM Λ HDM

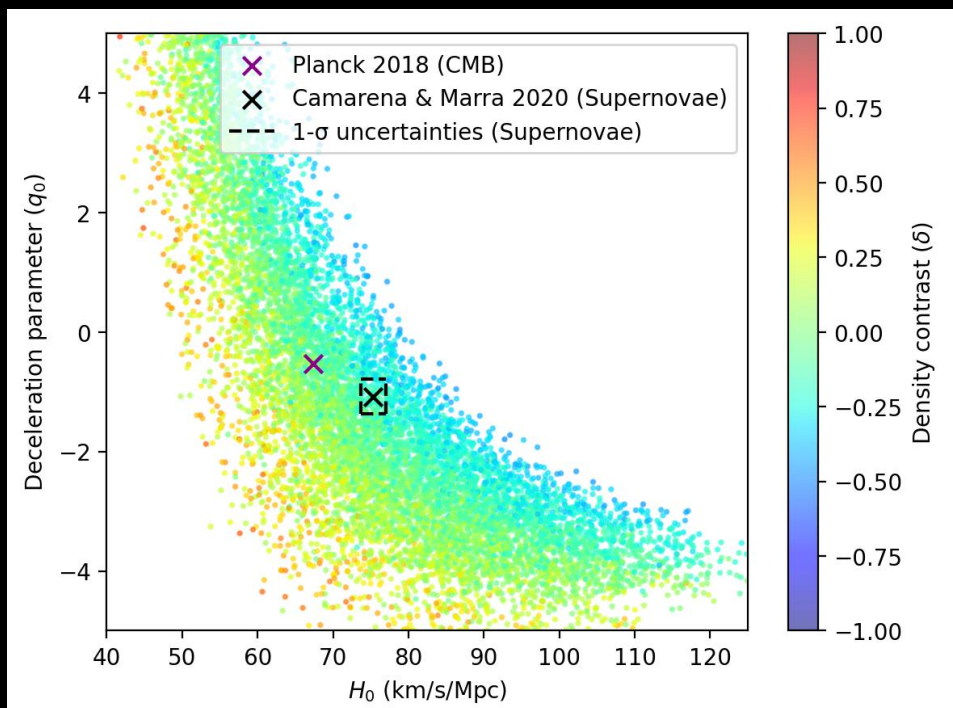
q_0 vs H_0

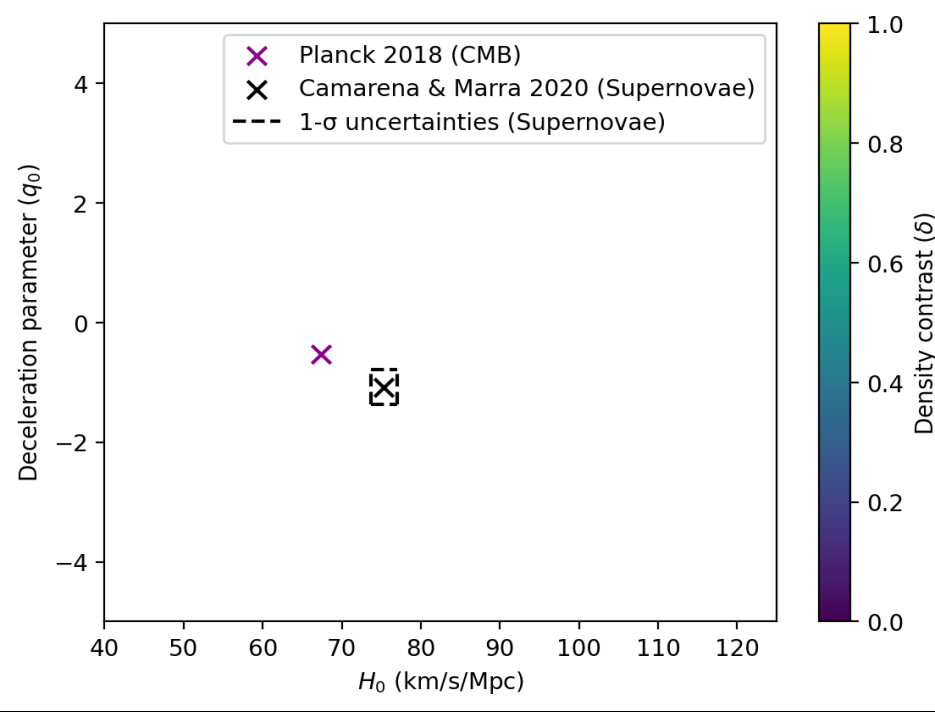
Colour shows local density contrast



“Bands” of density contrasts visible

ν CDM ν HDM





Λ CDM Λ HDM

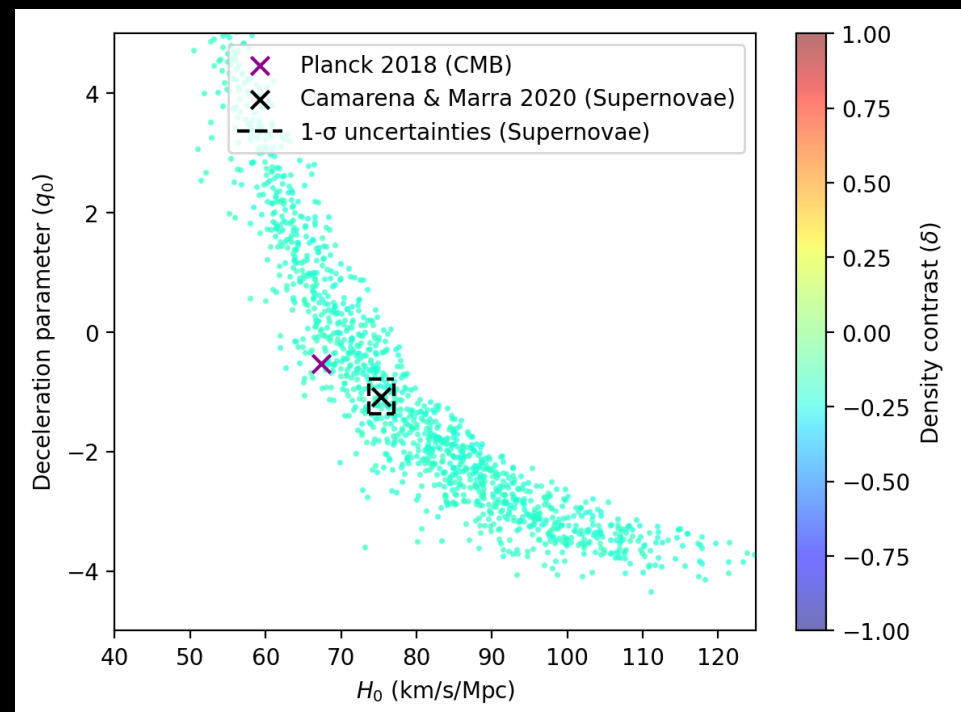
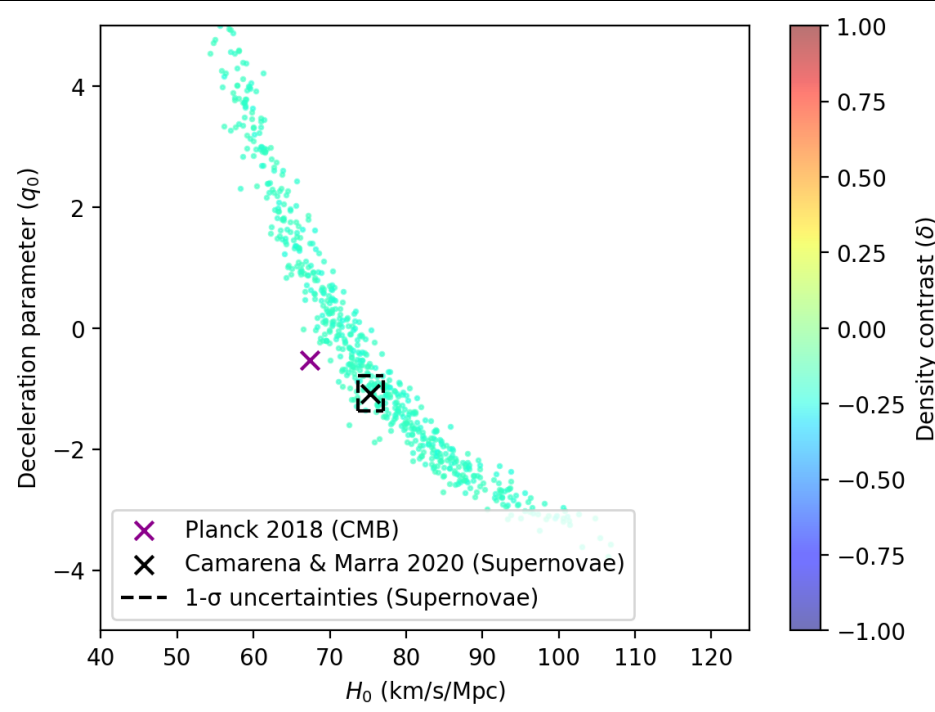
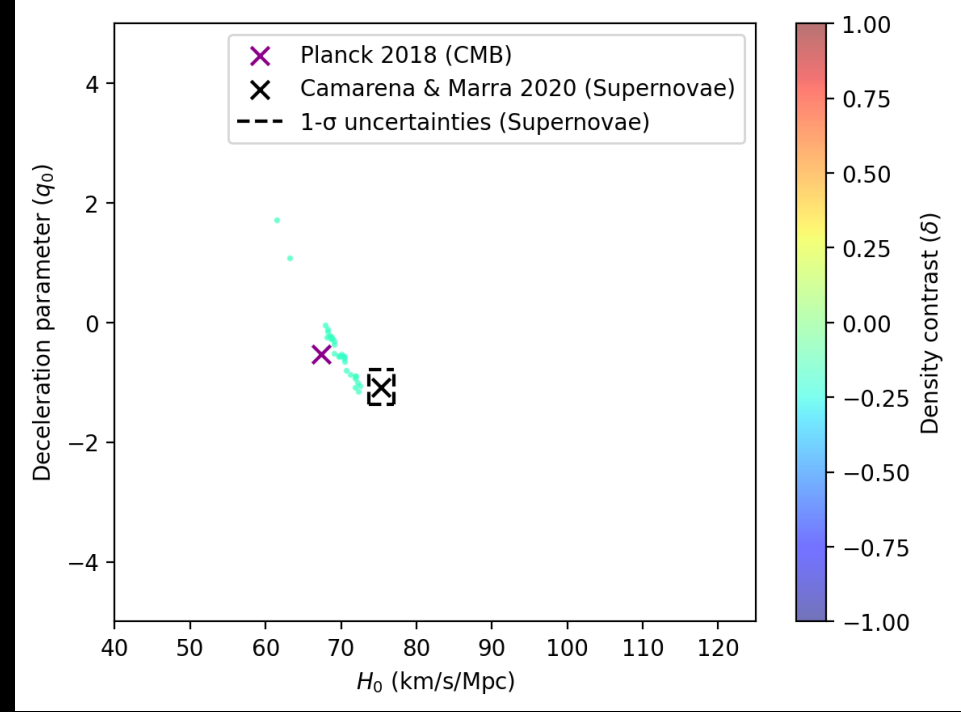
q_0 vs H_0
 $(-0.24 < \delta < -0.16)$

Limit to Local Hole
density contrast

δ -band passes straight
through observed
point

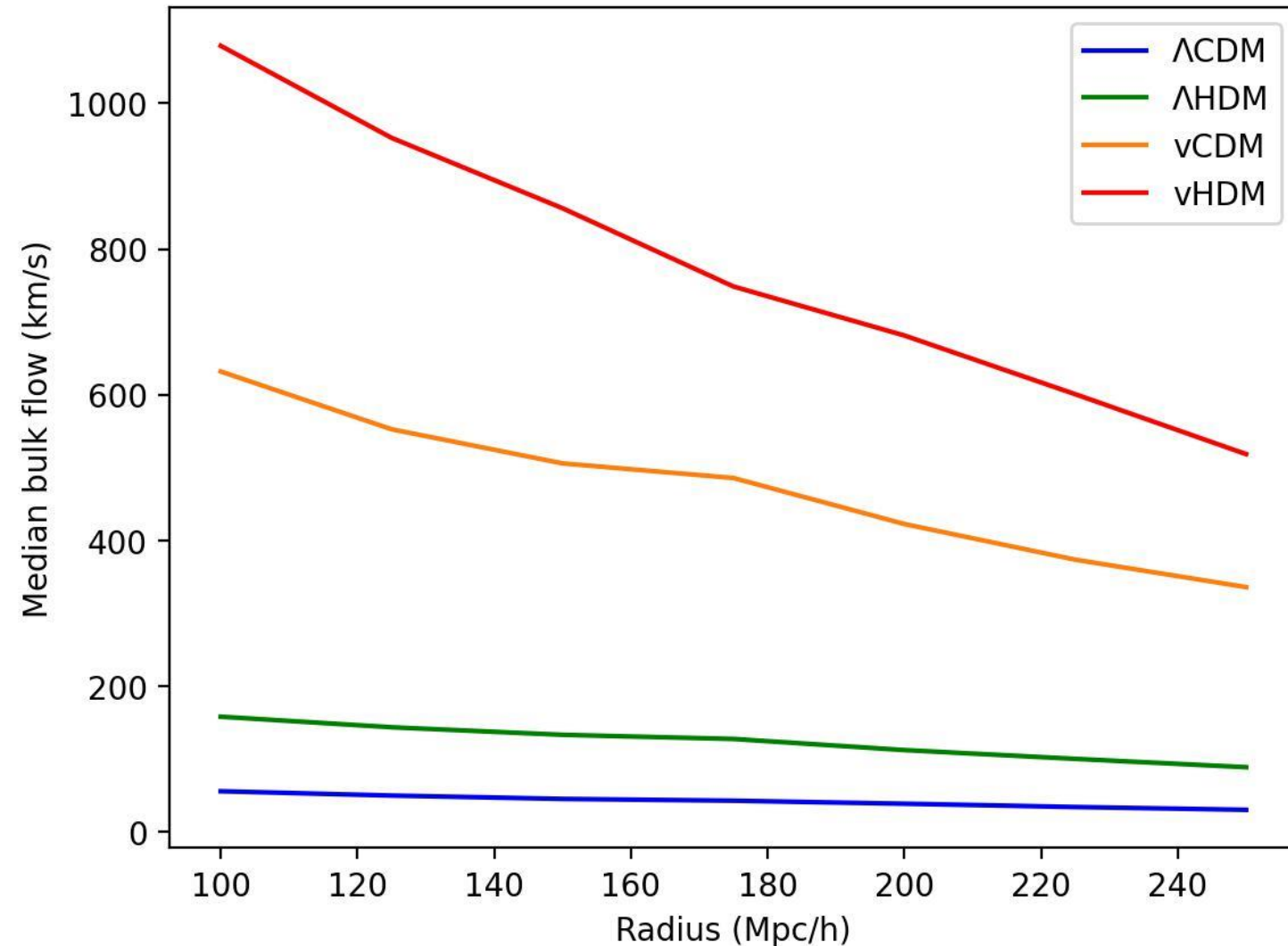
Seems to be link here
– Local Hole analogues
with H_0 also recover
the local q_0

ν CDM ν HDM



Bulk flows

The local bulk flows



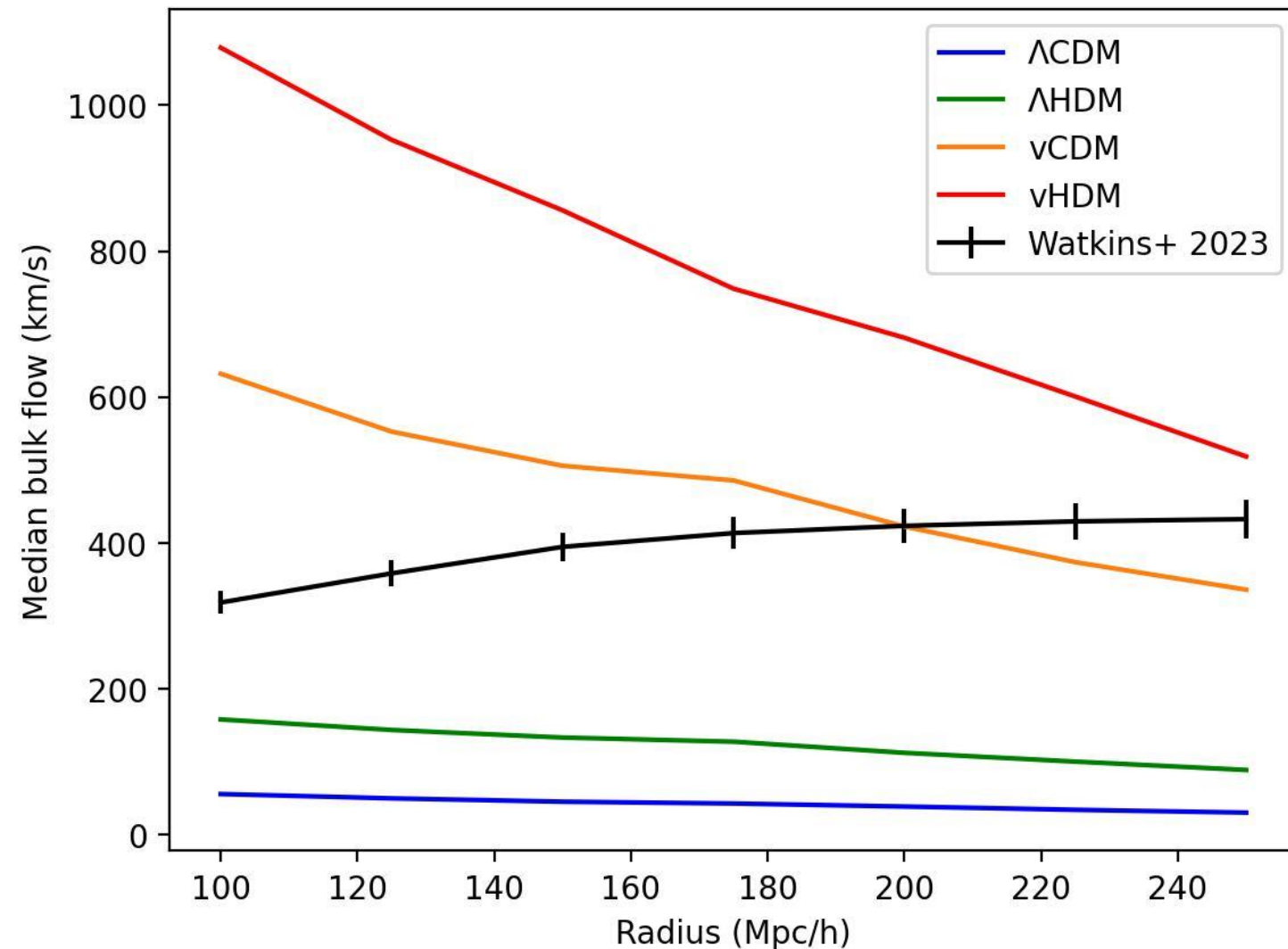
Bulk flows are average velocity of matter within a sphere around us

Measured with line-of-sight velocities

$$U_i = \frac{1}{V} \int_V \hat{r}_i v_{los} w(r) d^3x$$

Expect to fall at larger radii due to homogeneity and isotropy

The local bulk flows



Observed to rise, not fall as we expect

430 km/s peak!!!!

Watkins+ 2023 report a 4.8σ tension with Λ CDM expectations (at 200 Mpc/h)

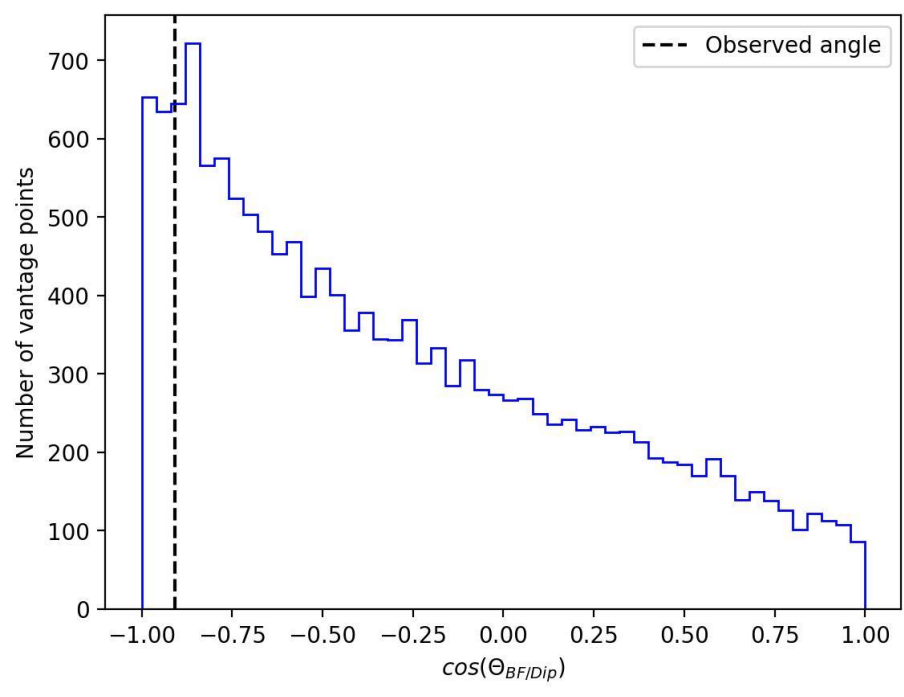
Reversing bulk flows?

Watkins+ 2023

- Measure bulk flow up to 250 Mpc/h
- Rises to 430 km/s
- Direction: $l = 298^\circ$, $b = -8^\circ$

Migkas+ 2021

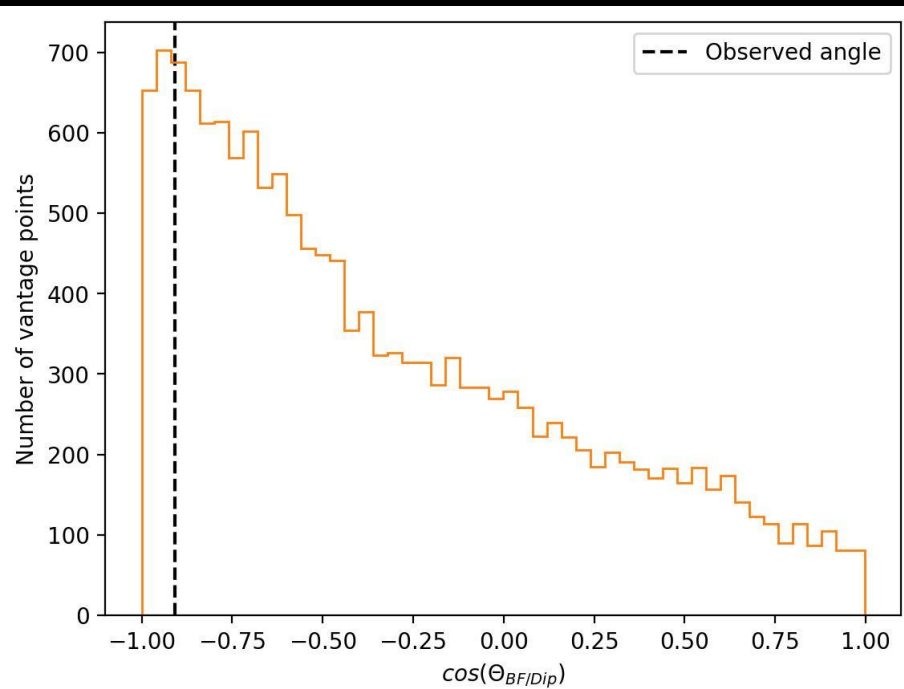
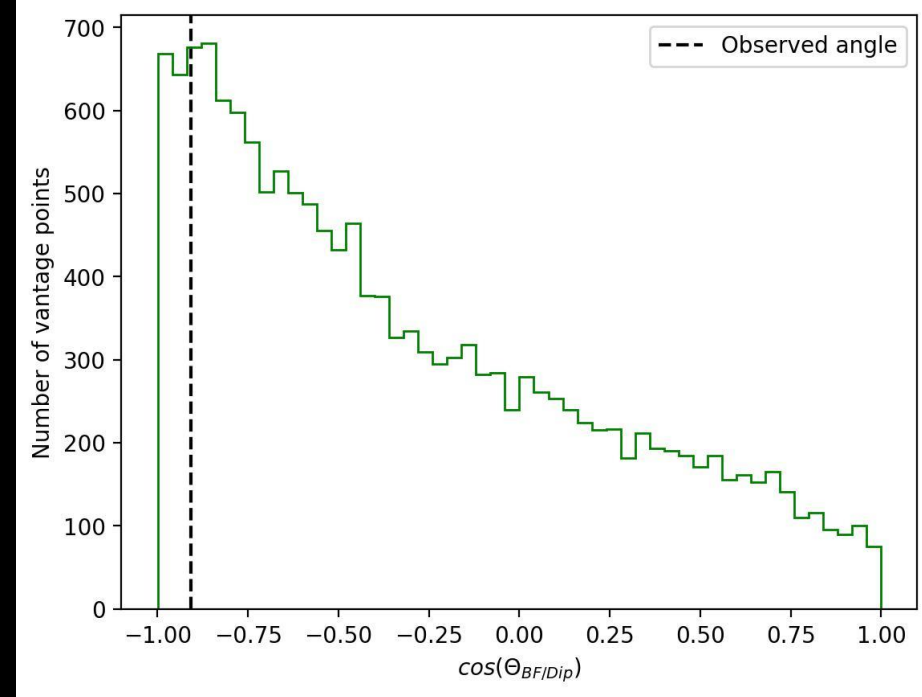
- Measured 9% H_0 dipole at 500 Mpc/h with clusters
- If caused by a bulk flow has magnitude of 900 km/s!!!
- Direction: $l = 93^\circ$, $b = 11^\circ$, almost opposite to Watkins+ 2023



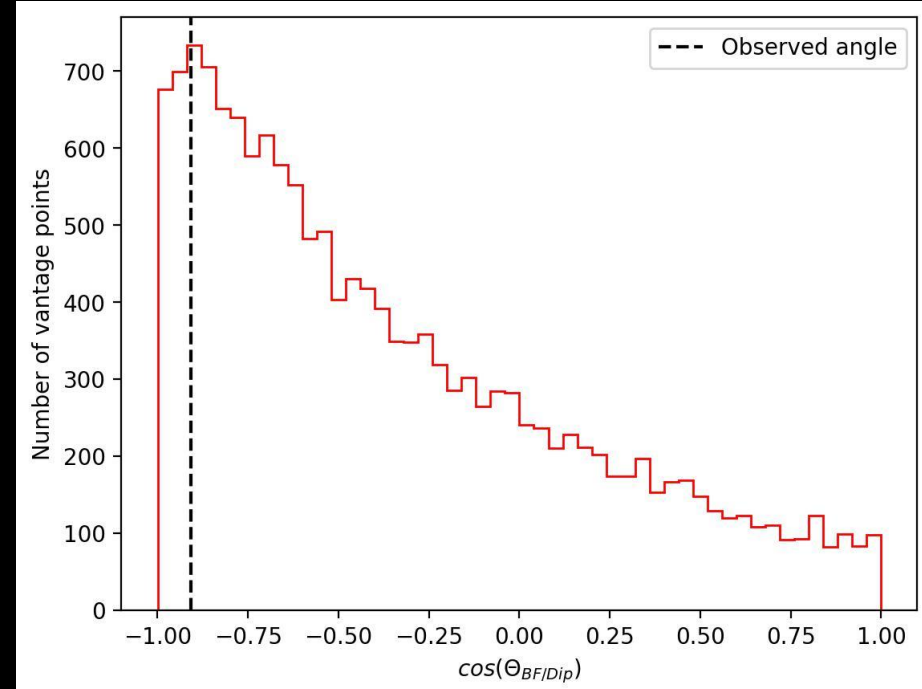
Λ CDM Λ HDM

Frequency of bulk flow reversal

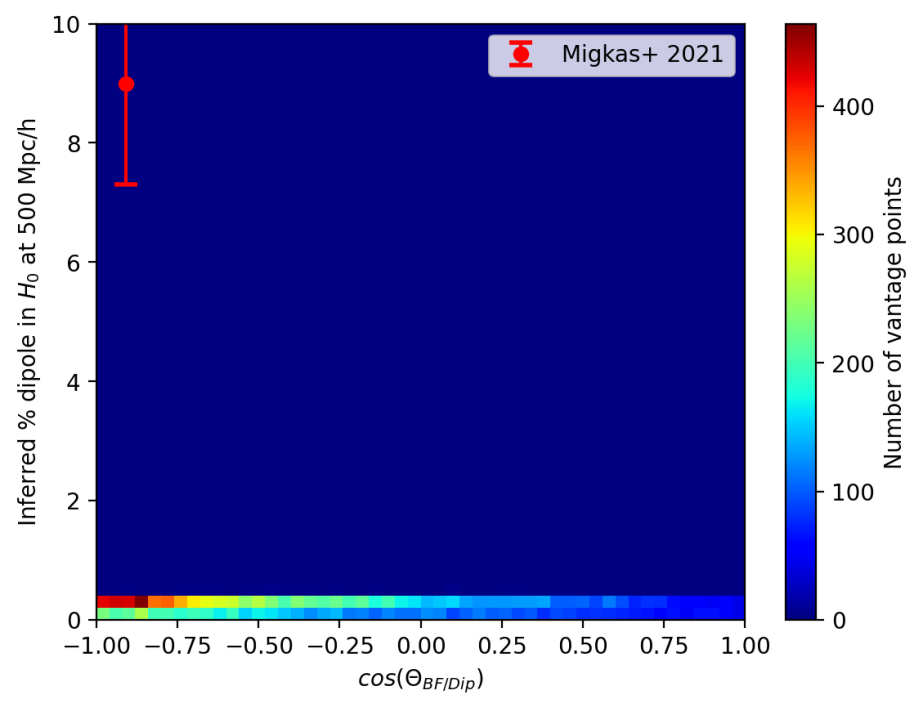
Angle found by dot product of bulk flow directions at 200 Mpc/h and 500 Mpc/h



Bulk flow reversal is common in all simulations!



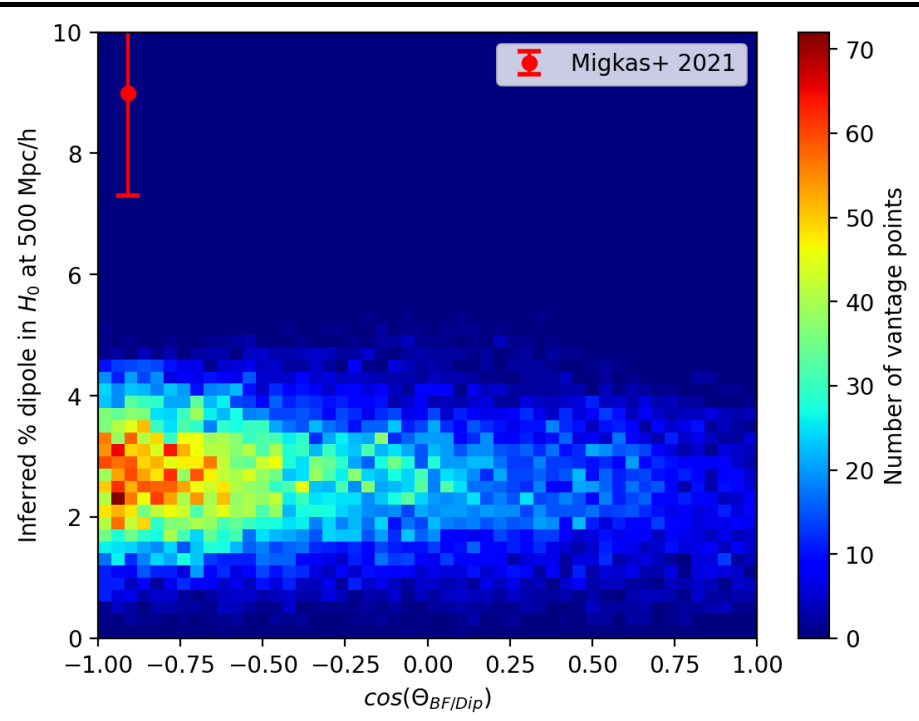
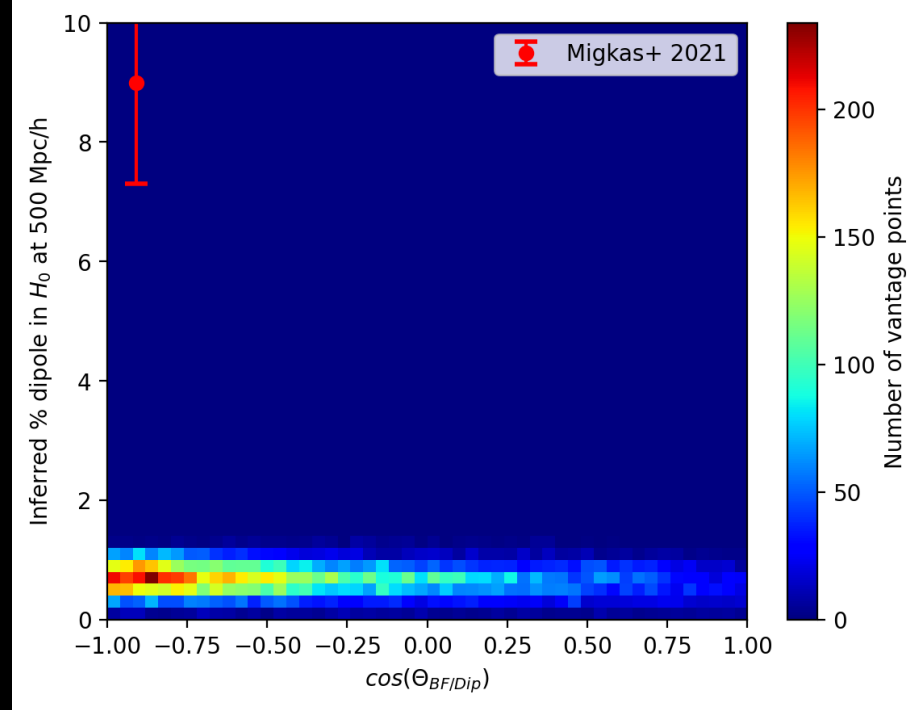
ν CDM ν HDM



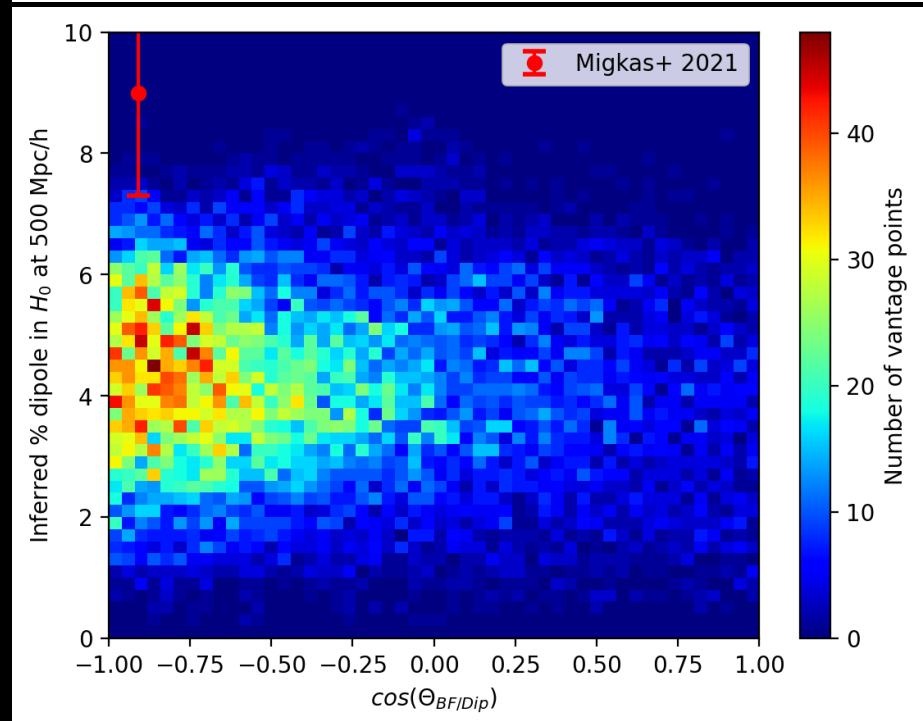
Λ CDM Λ HDM

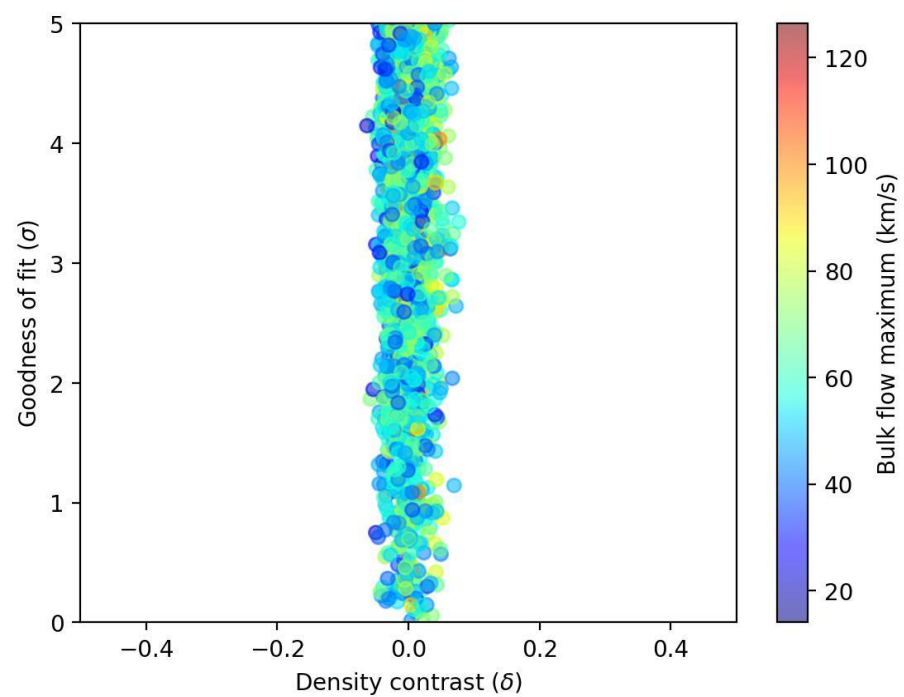
Inferred Hubble dipole and bulk flow reversal

Bulk flows alone struggle to explain observed Hubble dipole in all simulations



ν CDM ν HDM





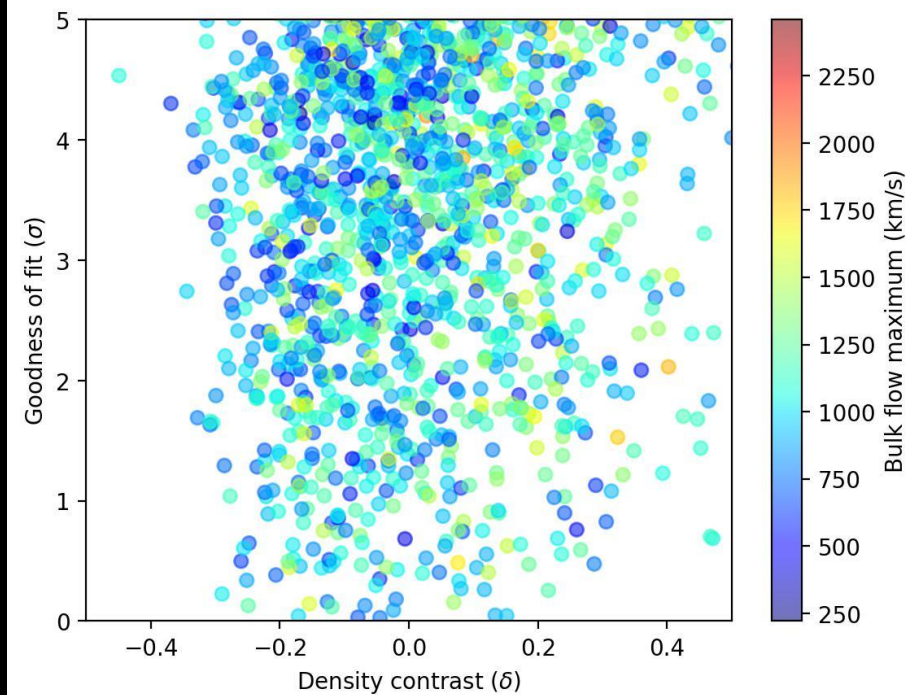
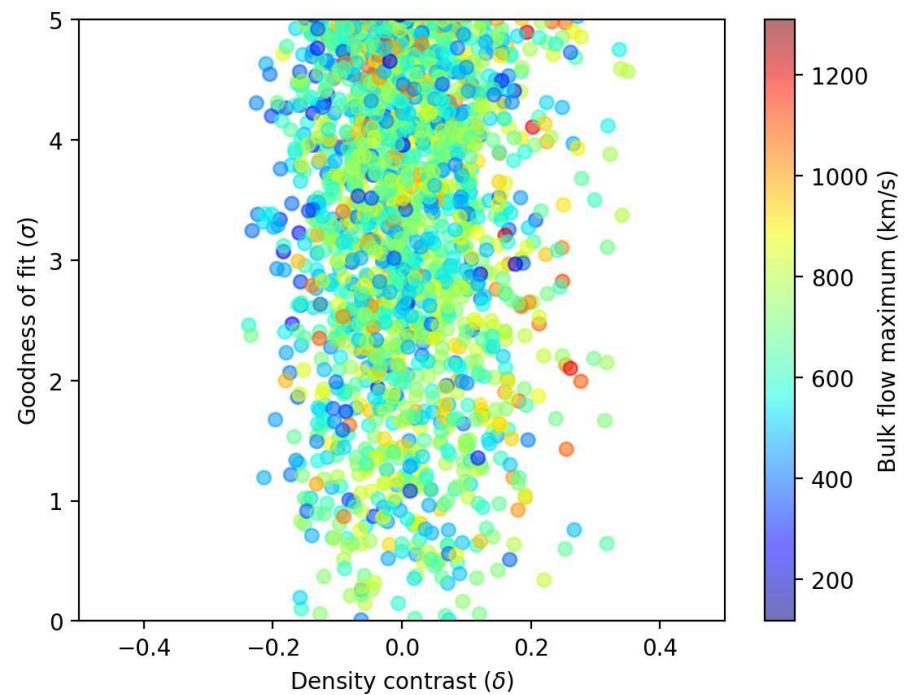
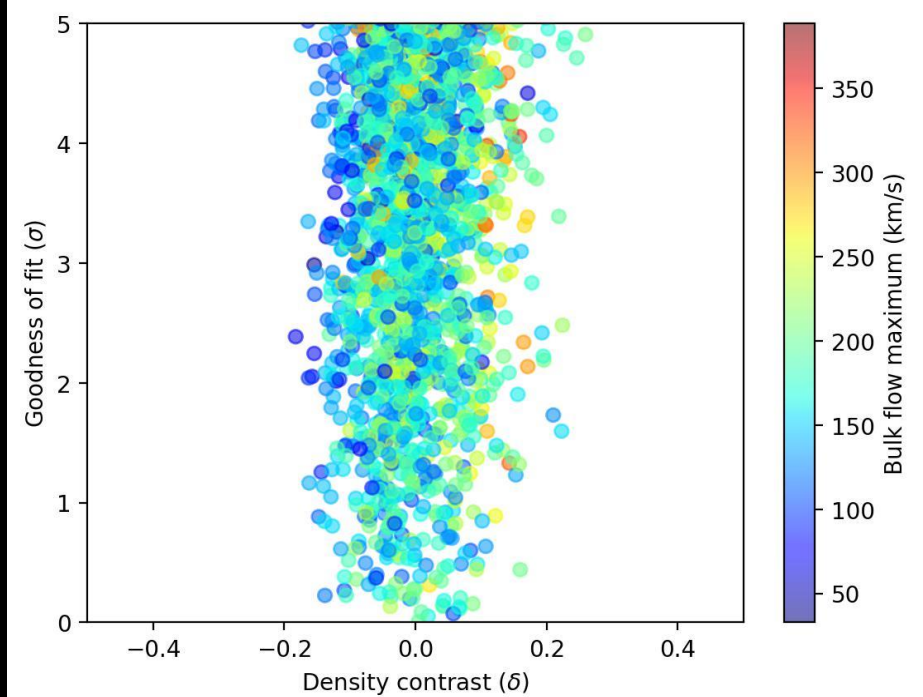
Λ CDM Λ HDM

Shape of the local bulk flow curve

Find lower maximum bulk flow in underdensities \rightarrow observed local bulk flow would be at lower end of spectrum!

Better than 2σ fit to observed shape for 2% of vantage points (up to 200 Mpc/h)

ν CDM ν HDM



What next?

Creating complete mock observations

- How do anisotropies in galaxy catalogue affect bulk flow measurements?

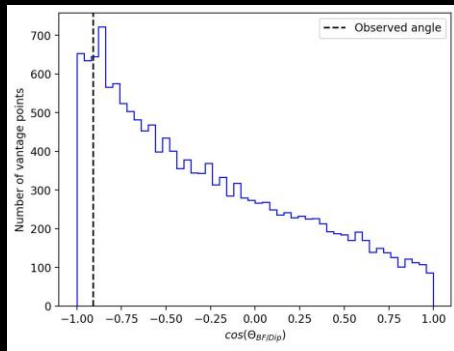
Tuning enhancement to gravity

- Will many observations be accurately reproduced if enhancement is tuned to fit just one?

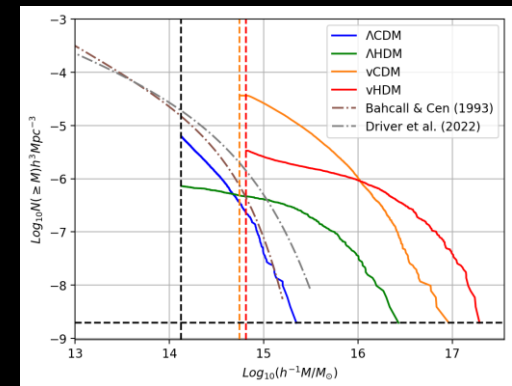
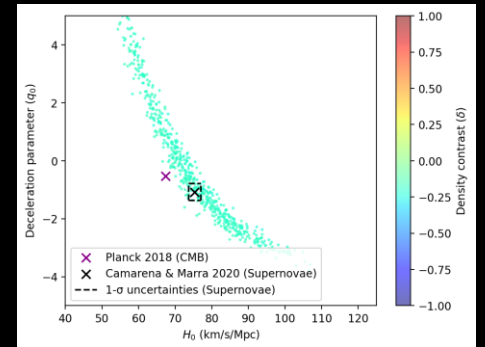
Exploring other theories

Conclusions

Possible link between H_0 , q_0 and Local Hole underdensity



Bulk flows commonly flip direction at large radii in all simulations considered

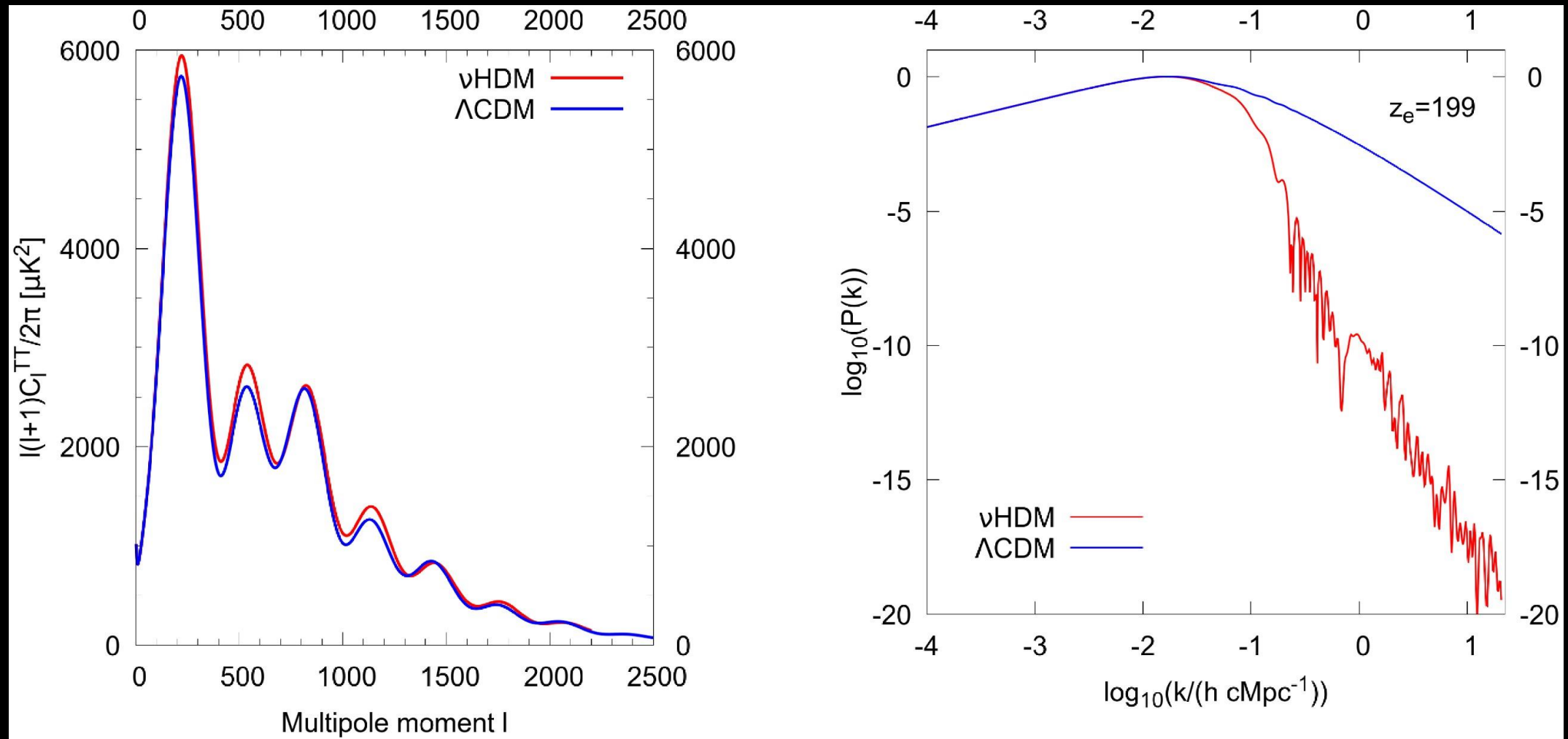


A scale-invariant theory is likely not the answer; enhancement to large-scale structure overproduces small scale structure

Is a local solution to the Hubble Tension preferable or not?

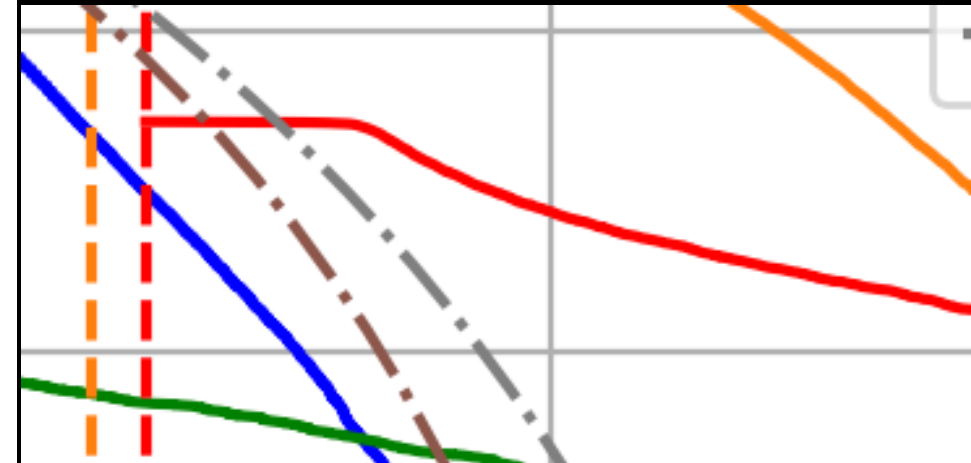
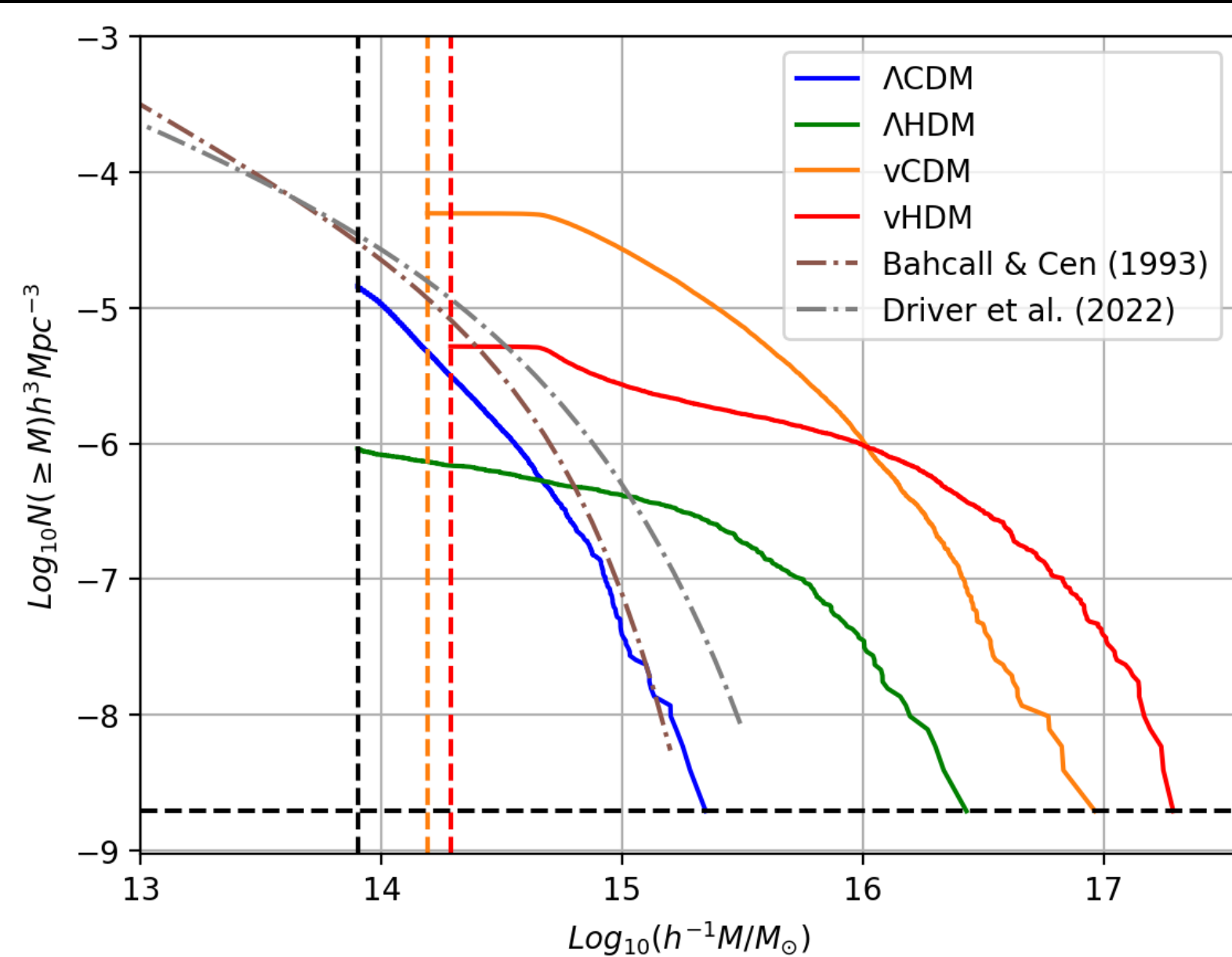
Appendix slides

Power spectrum and Transfer function

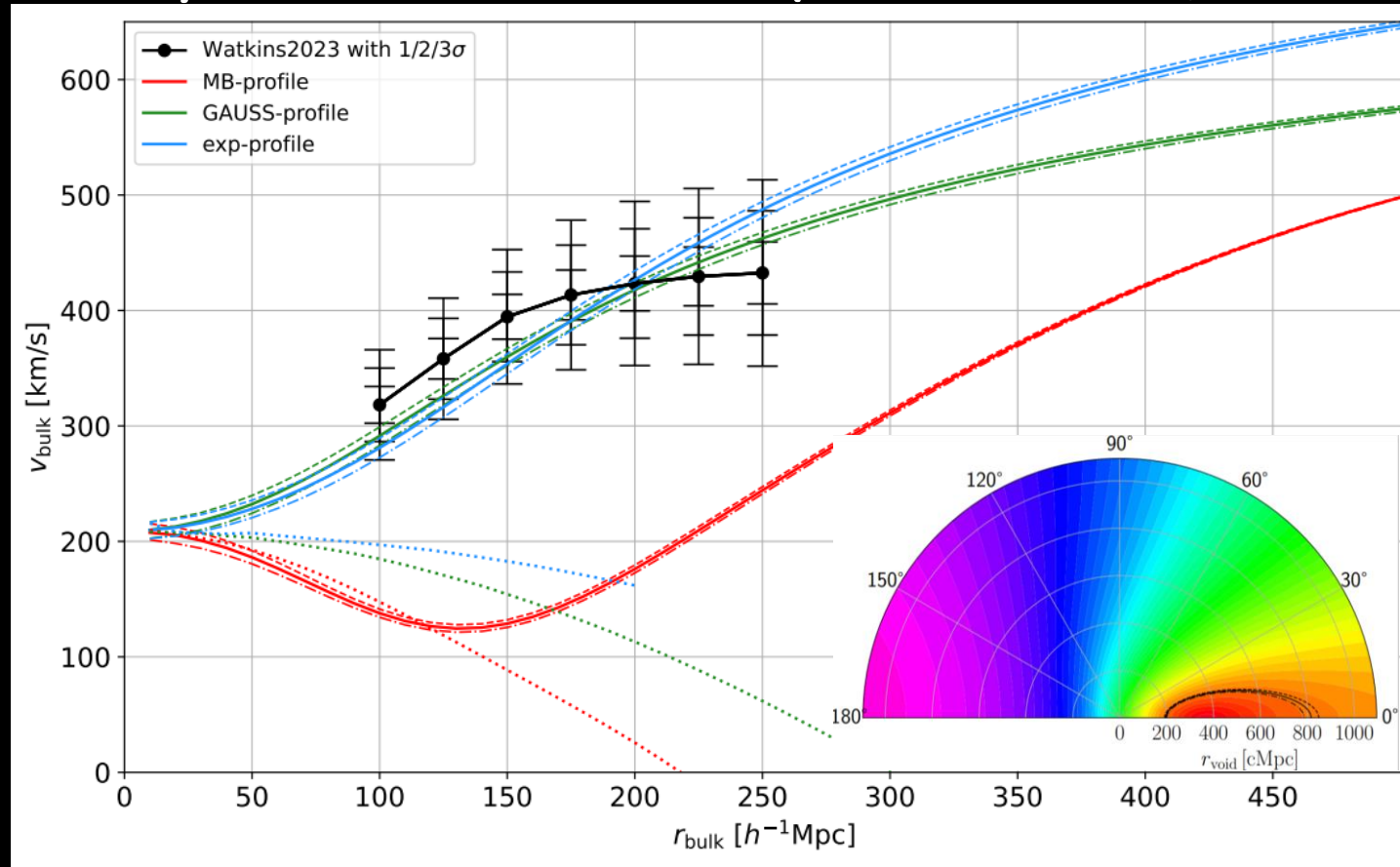


Wittenburg+ 2023, Figure 4

Spurious haloes



Semi-analytic bulk flow curve (Mazurenko+, submitted)



Semi-analytic model of Haslbauer+ 2020 was designed to fit KBC void density profile and solve the Hubble tension with outflows from the void + bulk motion. Local Group (LG) location in void is constrained by its peculiar velocity (black curve on inset). 3 void profiles x 2 LG locations considered (along symmetry axis). Bulk flow predictions for 2/3 density profiles match observed for the inner (left) vantage point. Bulk flow prediction is a priori, the semi-analytic model was created **before** Watkins+ 2023 and has not been altered to better fit the bulk flows in this work.