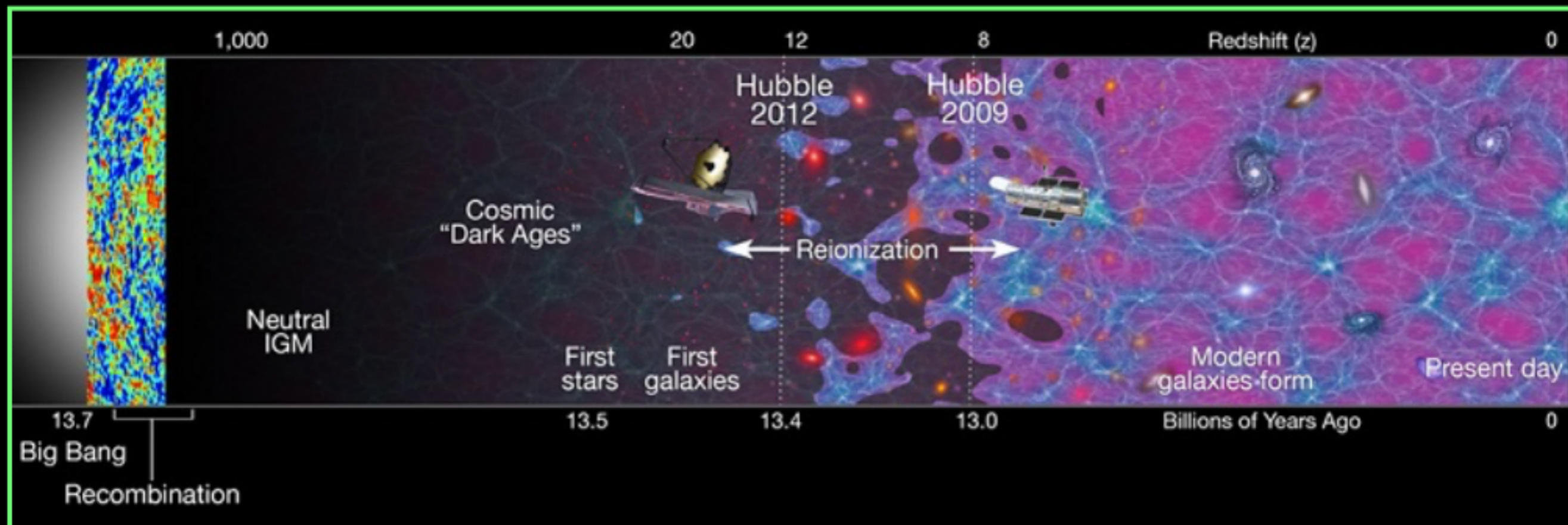


The background of the slide is a Cosmic Microwave Background (CMB) fluctuation map, showing a complex pattern of red, yellow, and blue spots against a dark background, representing temperature variations in the early universe.

Observing Patchy Reionization With CMB S4

Anirban Roy,
SISSA,
Astro-TS, September 26

With Andrea Lapi, David Spergel and Carlo Baccigalupi



Universe started to evolve from a hot and dense plasma of particles in thermal equilibrium.

Recombination: At redshift $z \sim 1100$, neutral hydrogen atom formed by the recombination of electron and proton and universe become transparent as photons can travel freely!

Reionization: High energy sources (uncertain!) ionise the Universe between redshifts 7.7 to 10 (from CMB) and 10% of CMB photons scattered again.

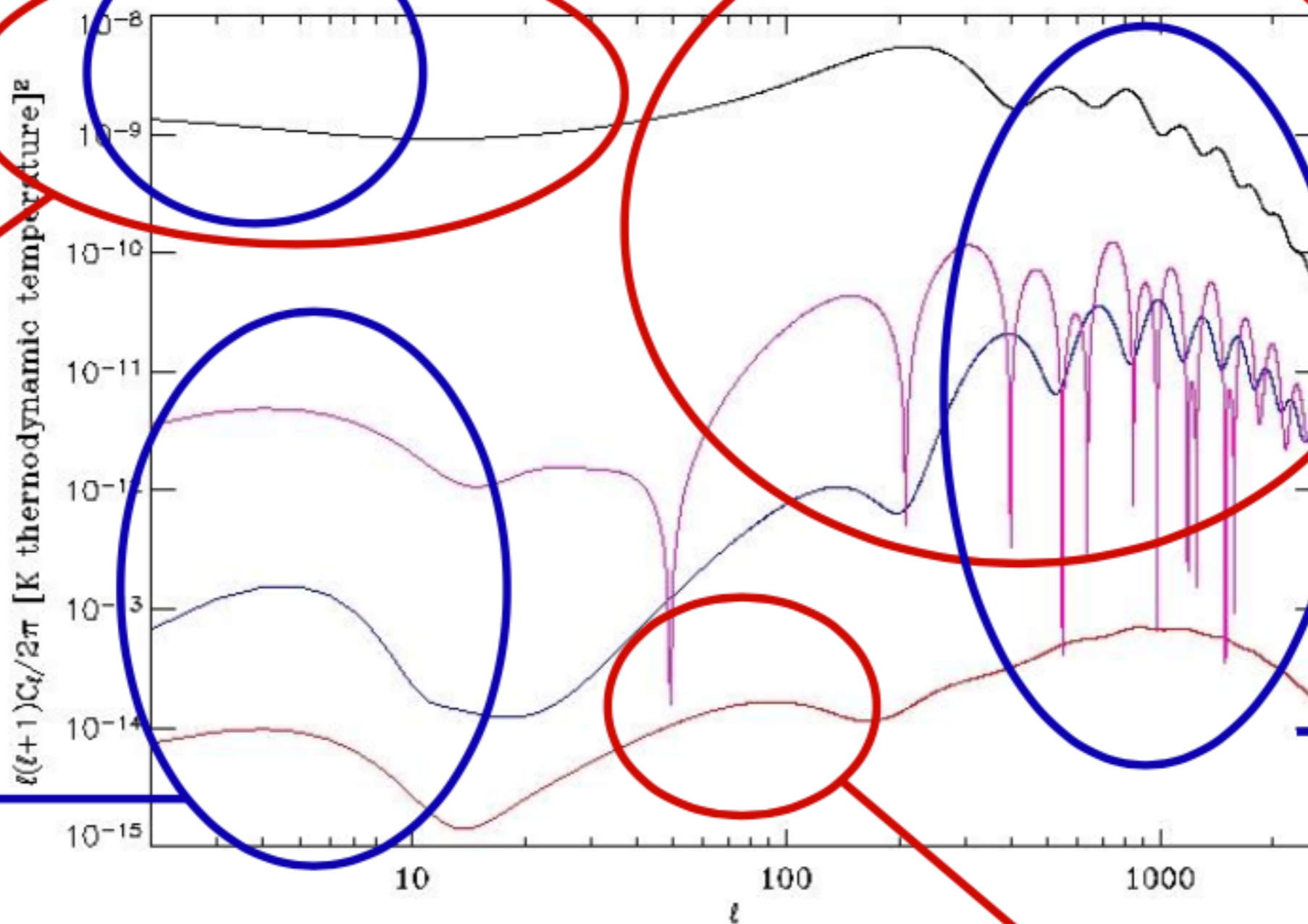
ISW

Acoustic oscillations

Primordial power

Reionization

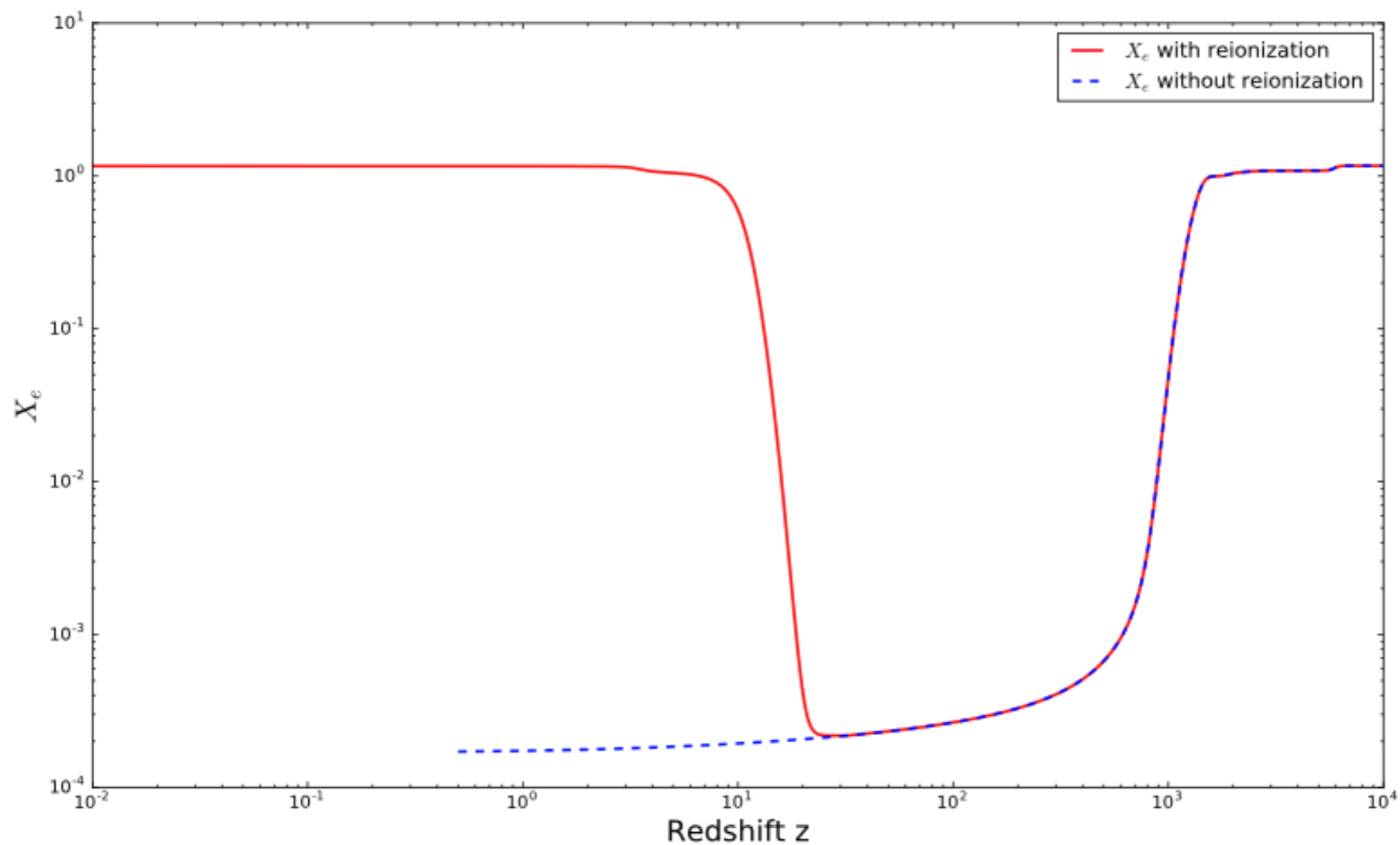
Lensing



Credit-Carlo Baccigalupi

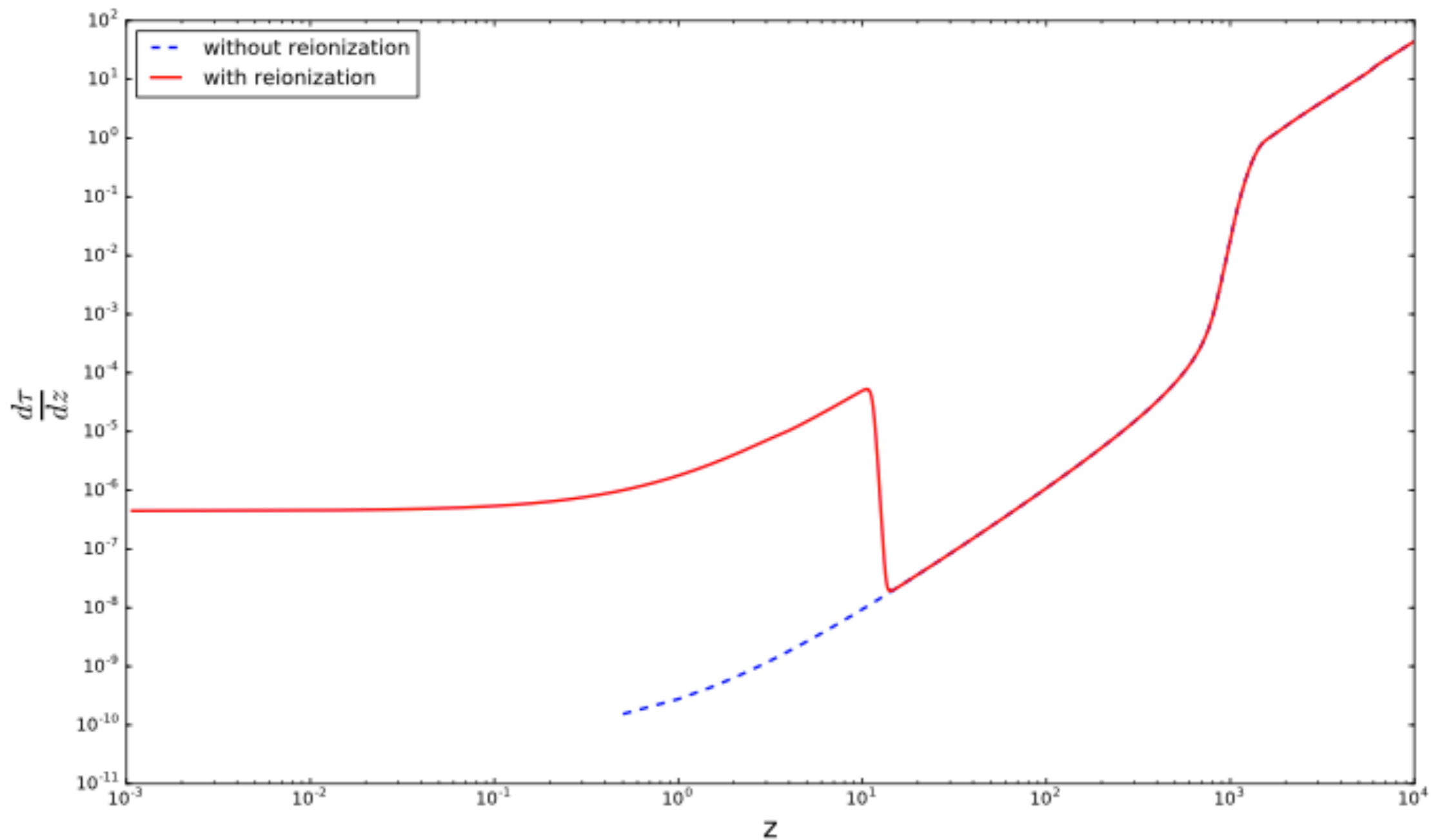
Angle $\approx 200/\ell$ degrees

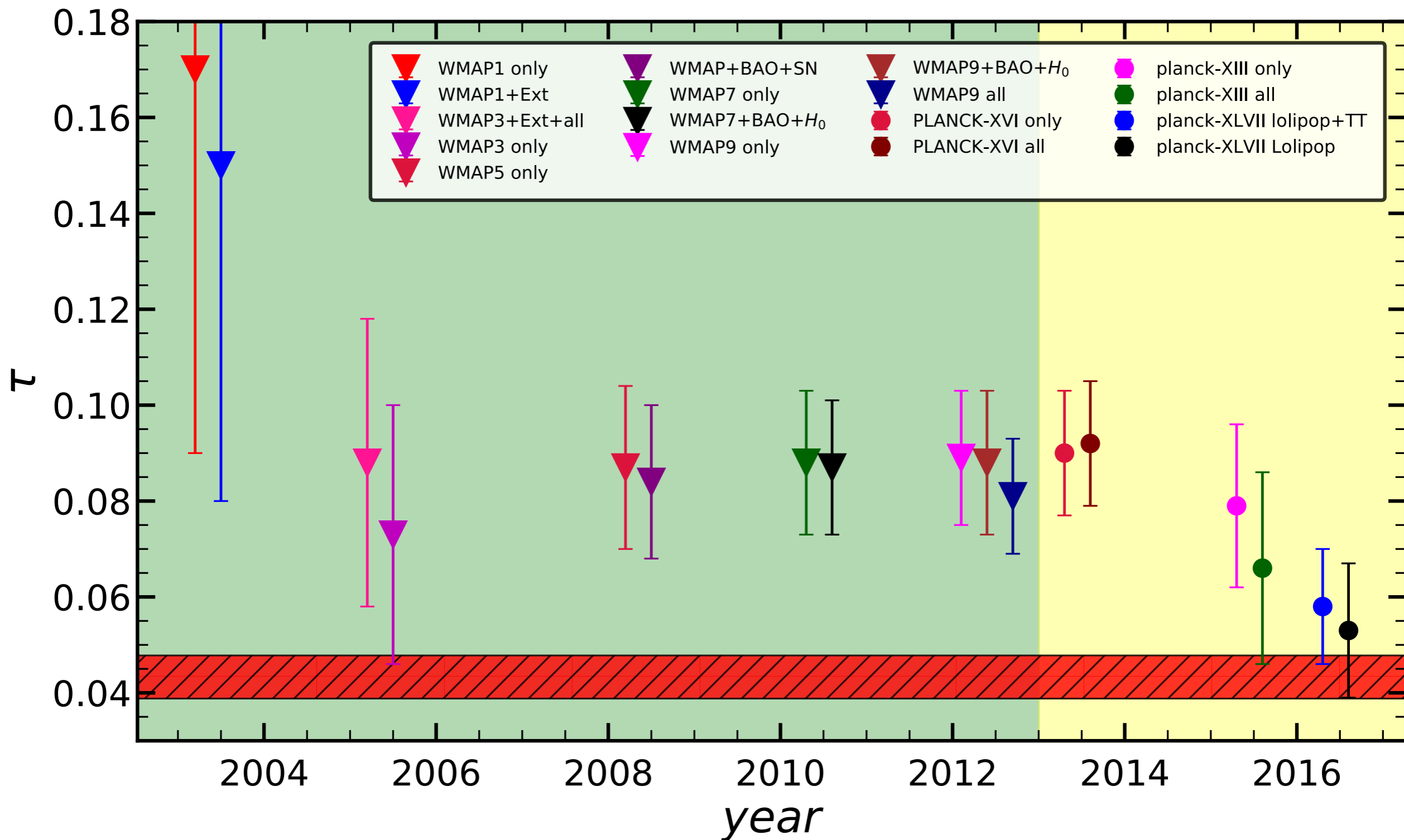
Gravitational waves

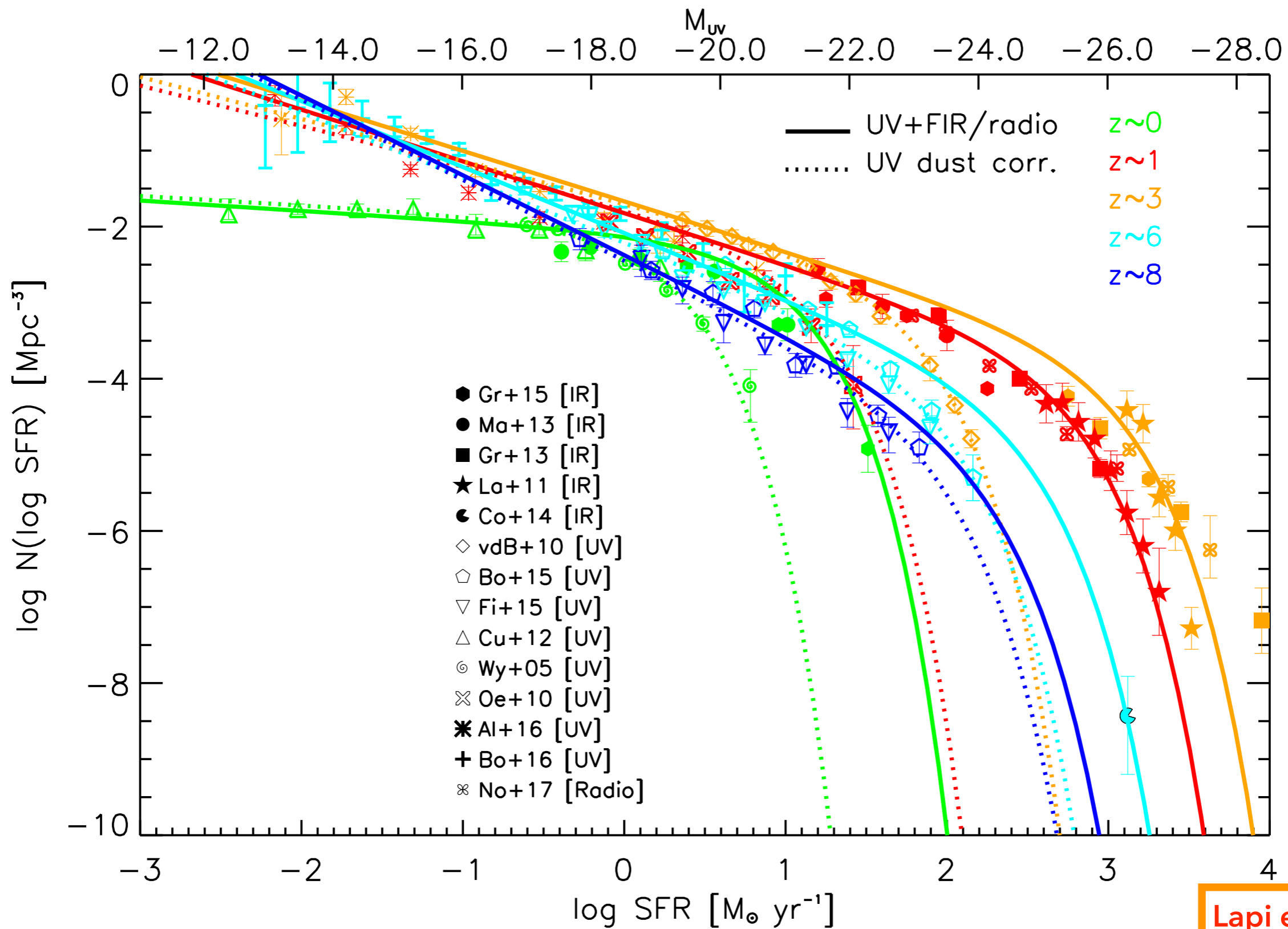


$$\bar{x}_e = \frac{1}{2} \left[1 - \tanh \left(\frac{y(z) - y_{re}}{\Delta y} \right) \right]$$

$$\tau(z) = \sigma_T n_{p,0} \int_0^z \frac{dz' (1+z')^2}{H(z')} x_e(z')$$

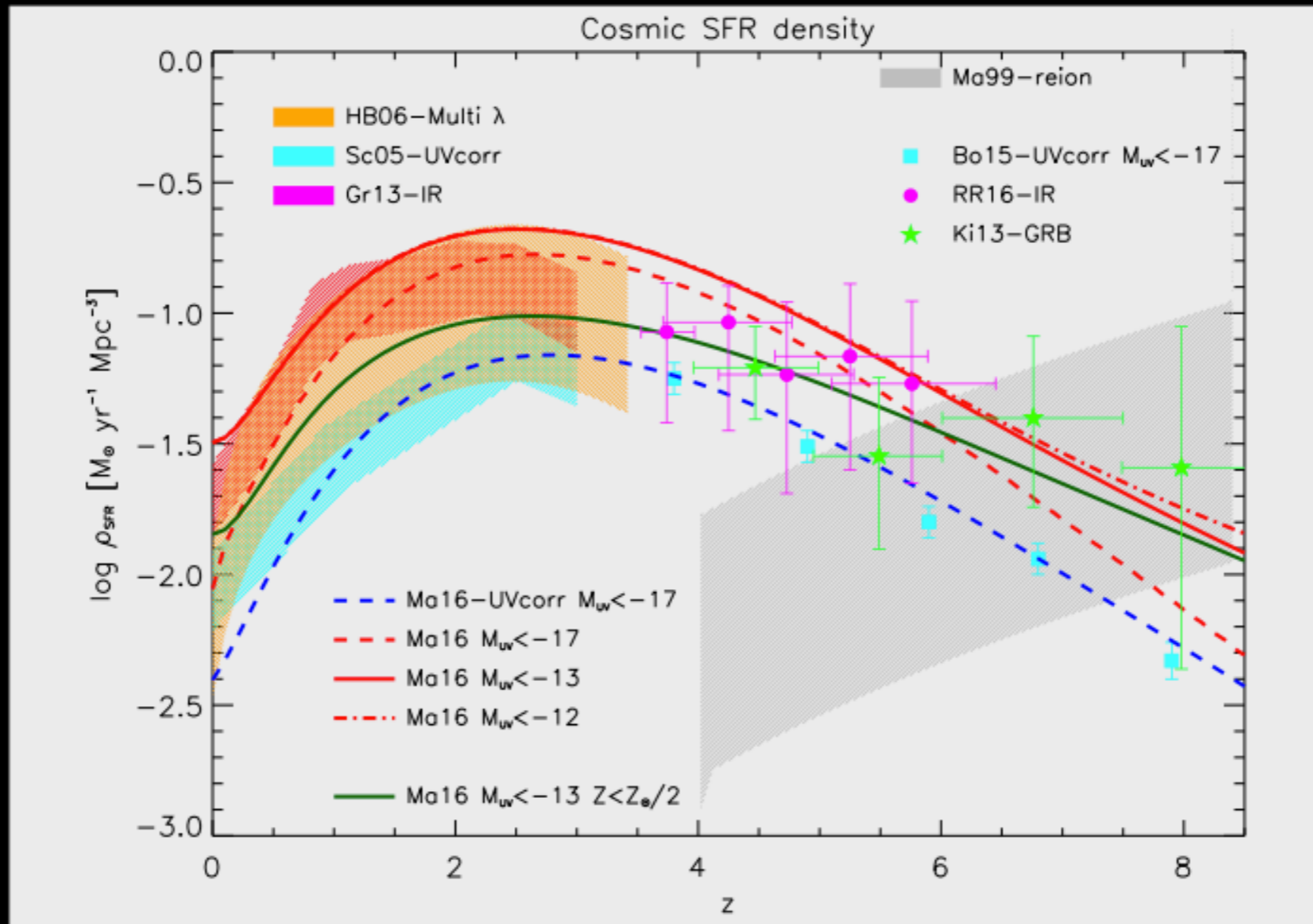






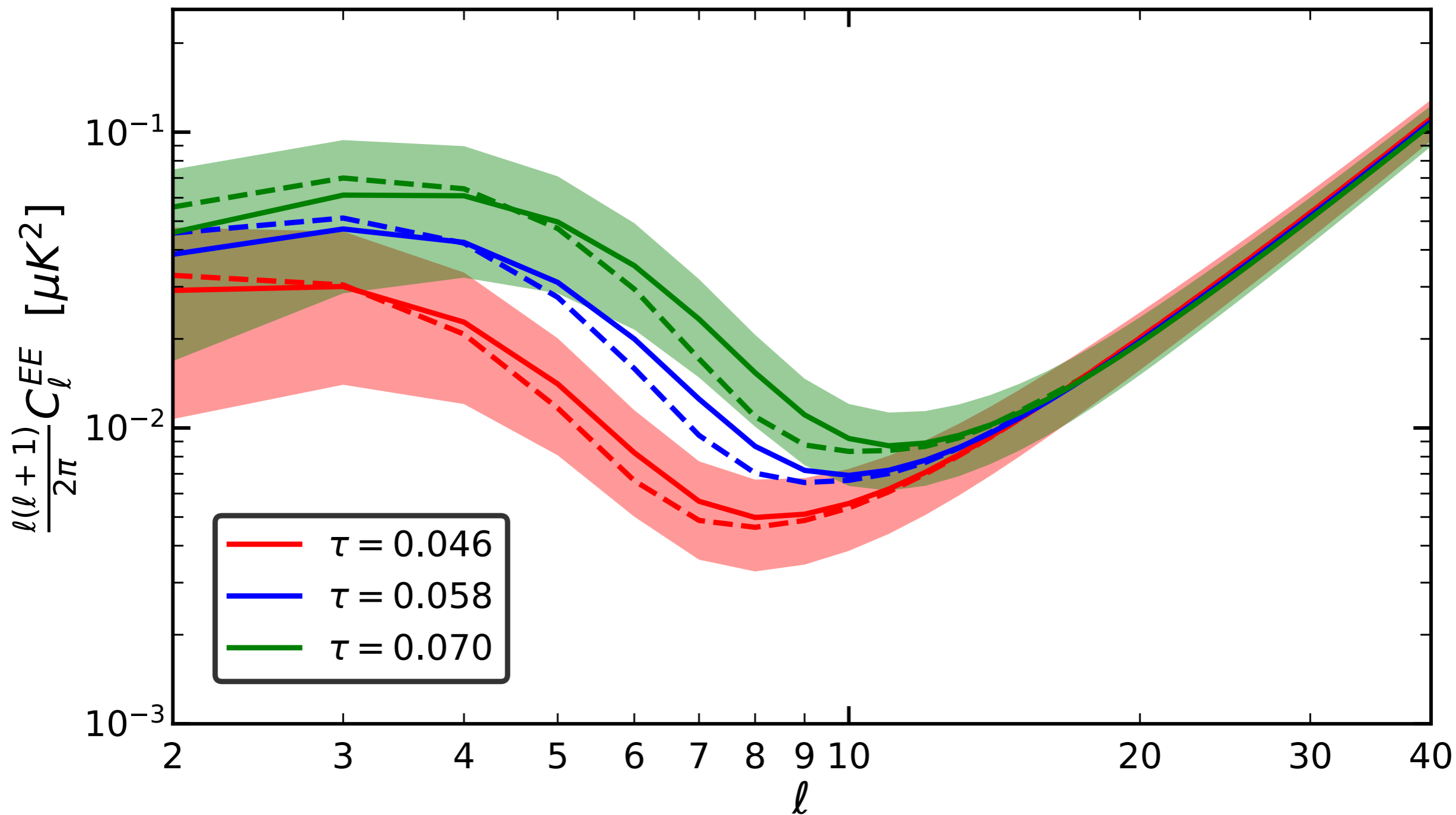
Lapi et. al 2017

$$\dot{N}_{ion} = f_{esc} k_{ion} \rho$$



$$\dot{Q}_{HII} = \frac{\dot{N}_{ion}}{\bar{n}_H} - \frac{Q_{HII}}{t_{rec}}$$

Modified E mode Spectra



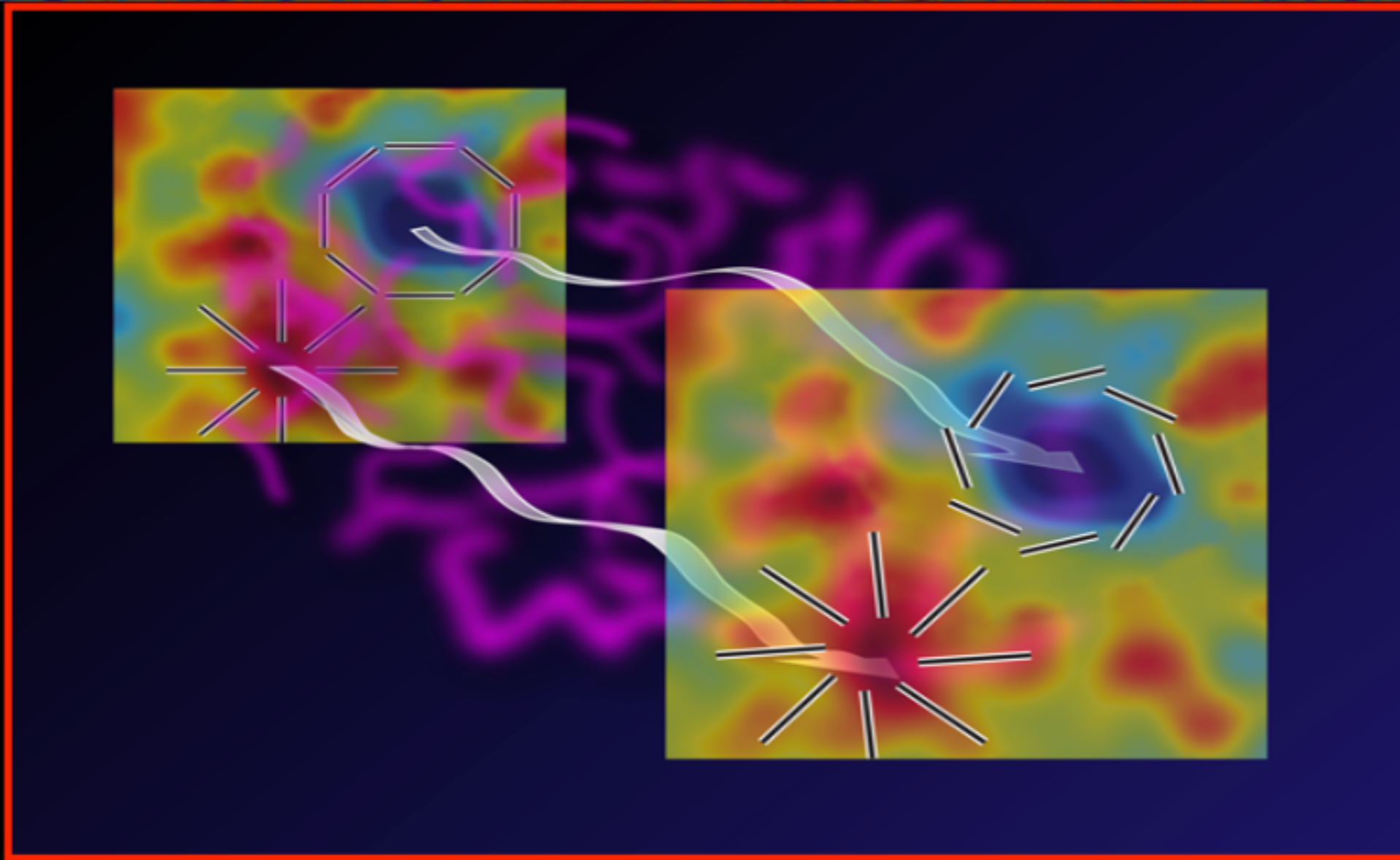
optical depth will be position depended quantity due to patchy reionization. So it is possible to construct tau powerspectrum.

$$C_l^{\tau\tau} = \int d\chi \frac{\sigma_T^2 n_{p,0}^2}{a^4 \chi^2} P_{\Delta x_e \Delta x_e} \left(\chi, k = \frac{l}{\chi} \right)$$

Like lensing, patchy reionization will also generate B mode signal which can be written as

$$C_l^{BB} = \frac{3\sigma_T^2 n_{p,0}^2}{100} \int \frac{d\chi}{a^4 \chi^2} e^{-2\tau(\chi)} Q_{rms}^2(\chi) P_{\Delta x_e \Delta x_e} \left(\chi, k = \frac{l}{\chi} \right)$$

Dvorkin & smith 2009, Hu 2000, Mortonson & Hu 2006



$$X^{len}(\hat{n}) = X^{Unl}(\hat{n} + \vec{d}(\hat{n})) = X^{Unl}(\hat{n} + \nabla\phi(\vec{n}))$$

$$\phi(\vec{n}) = -2 \int dD \frac{D_s - D}{DD_s} \Psi(D\hat{n}, D)$$

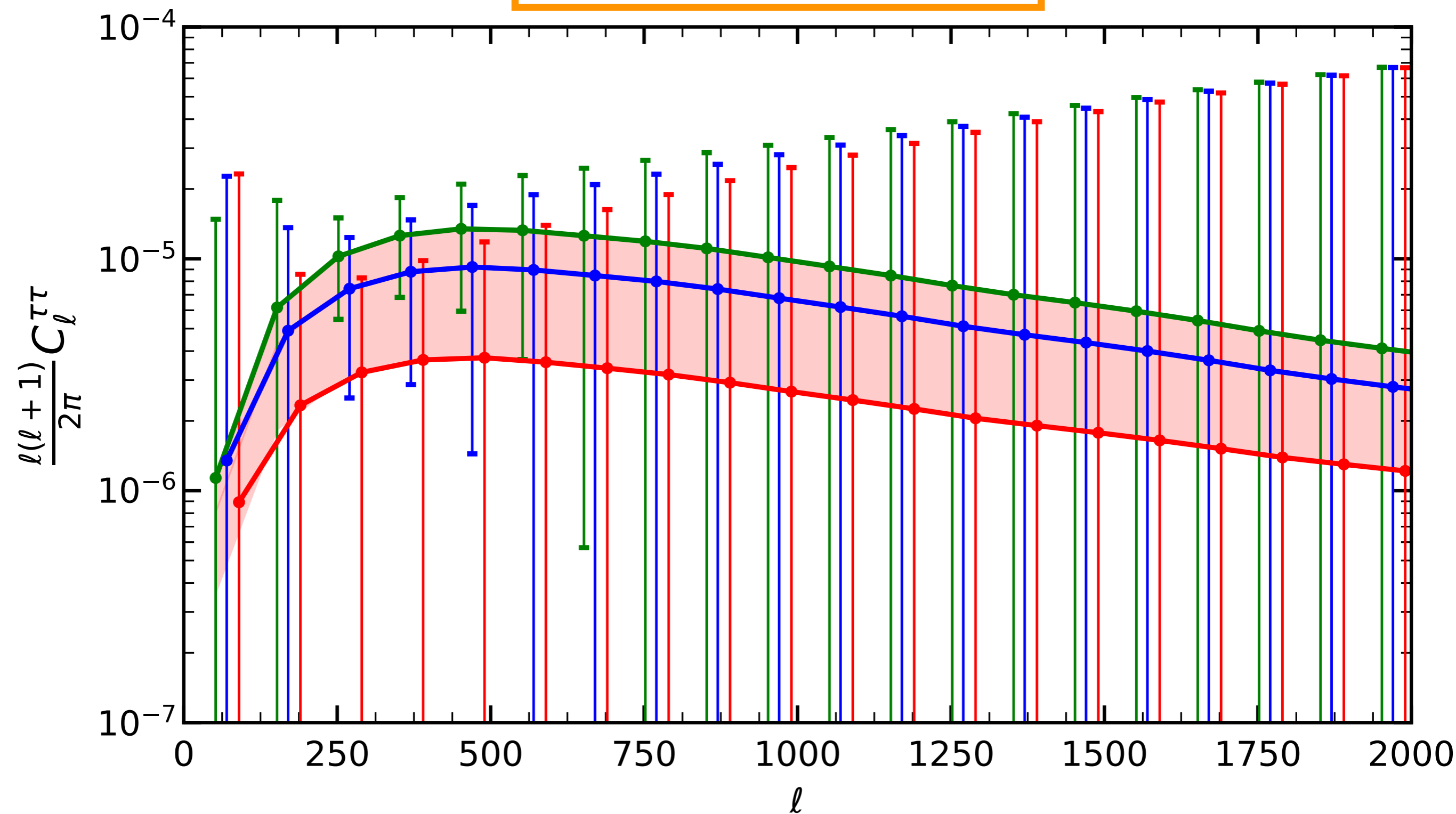
credit: Eiichiro Komatsu



~ 500000 detectors will operate between 30 to 300 GHz

Sensitivity ~ 1 micro K, fsky=50%, beam width ~ 1 arc min

Reconstructed Tau spectra





Thank You