

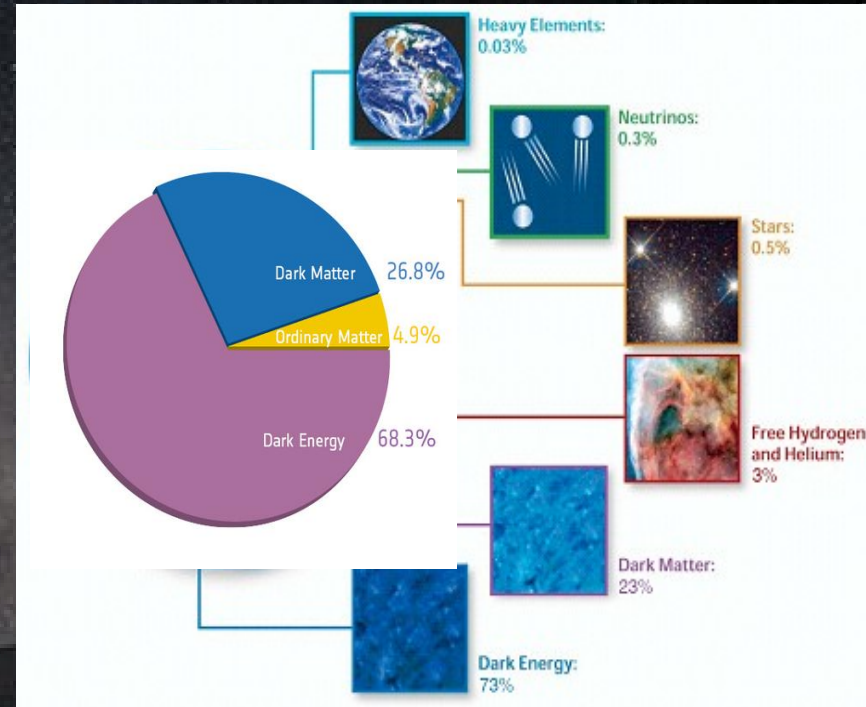
The South Pole Telescope (SPT) cluster survey and its cosmological implications





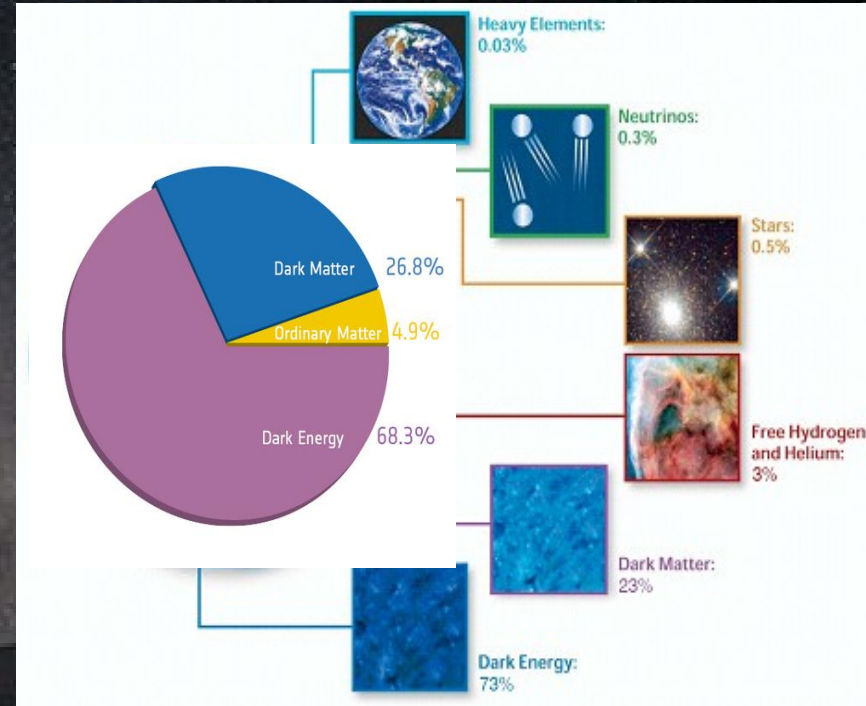
Geometry and Contents of the Universe

- General consensus is that several independent cosmological probes point towards a consistent model of flat LCDM
- A model where $\sim 70\%$ of the energy density is “dark energy” $\sim 25\%$ is “dark matter” and the rest is “normal matter” is consistent with all available data
- Understanding the root cause of the cosmic acceleration is the primary focus of observational cosmology today



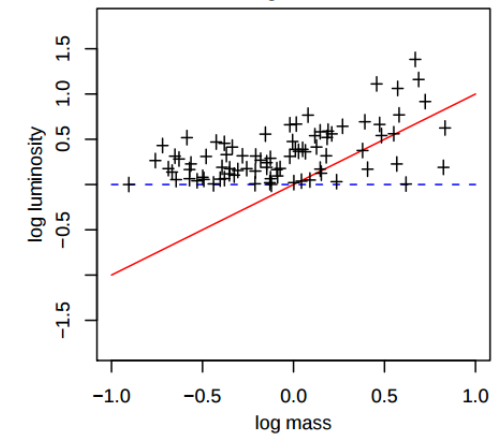
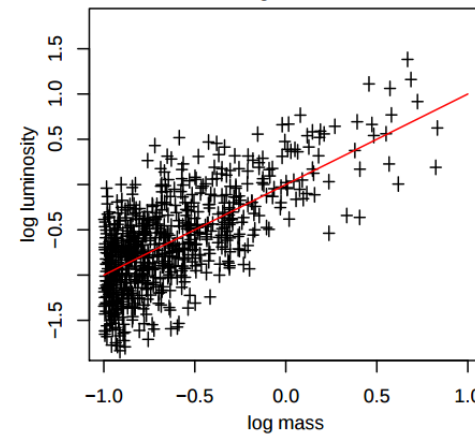
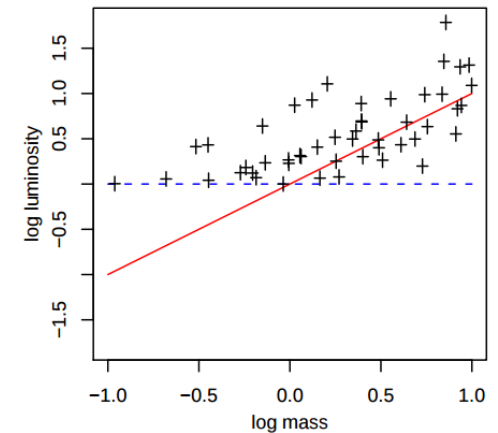
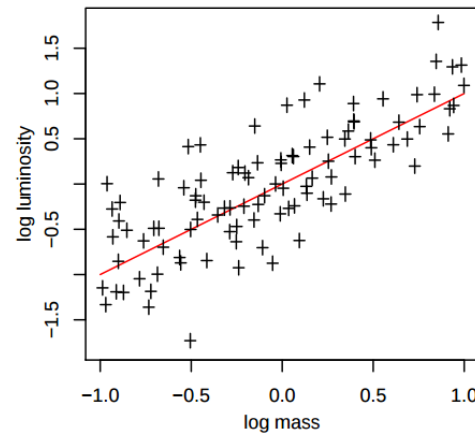
Geometry and Contents of the Universe

- Dominant source of cosmological information is coming from primary CMB fluctuations at $z \sim 1100$
- Few $\lesssim 2\sigma$ tensions are present when combining CMB with local probes, e.g.:
 - H_0 (Riess et al. 2016)
 - Cosmic shear (KiDS, CFHTLenS, DES)
 - Clusters (e.g., Planck 15)



Cluster Cosmology

- Have a theory prediction for the Halo Abundances
- Find Galaxy Clusters
- Obtain redshifts (distance)
- Mass proxies
- Scaling relations
 - Malmquist bias
 - Eddington bias
 - Selection



Mantz et al. 2010

Cluster Surveys Provide a Rich Source of Information

Halo Redshift Distribution

Sensitive to volume-redshift relation and halo abundance evolution

$$\frac{dN(z)}{dzd\Omega} = \frac{dV}{dzd\Omega}(z) n(z)$$

Press & Schechter 72

Halo Abundance Evolution

Depends on the amplitude and shape of the power spectrum of density fluctuations

Can be studied directly in N-body simulations; simple “cosmology independent” fitting formulae exist

e.g. Sheth & Tormen 99, Jenkins+01, Warren+05, Tinker+08, Watson+13, Bocquet+16, Despali+16

etc
Bottom line: surveys measure

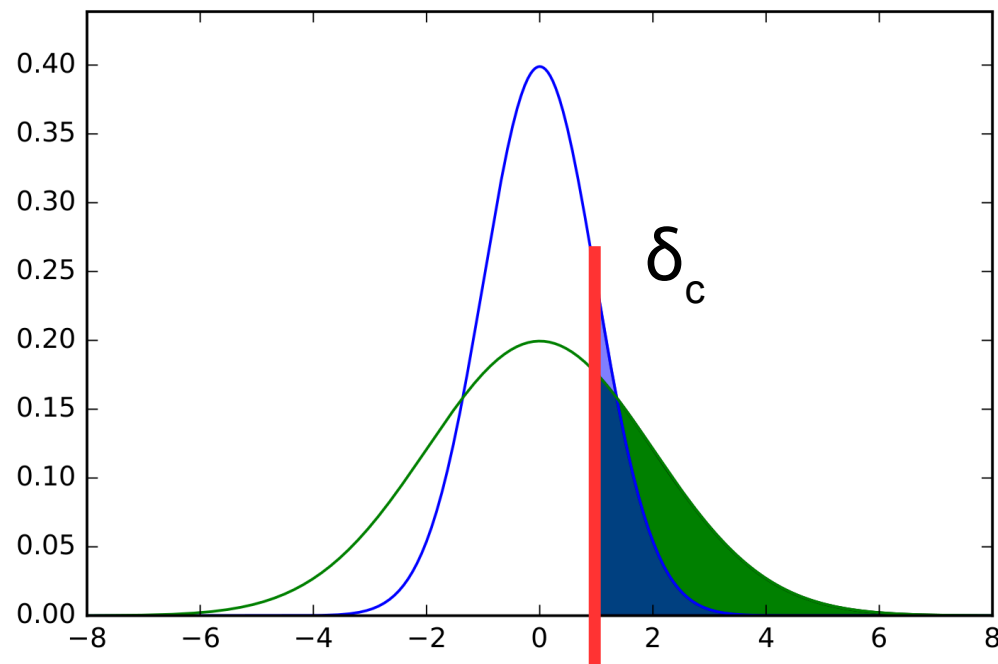
Distances

Characteristics of initial perturbations

Growth rate of density perturbations

But you must know the mass selection of your survey!

$$\frac{dn}{dM}(M, z) = -\sqrt{\frac{2}{\pi}} \frac{\rho_b}{M} \frac{d\sigma(M, z)}{dM} \frac{\delta_c}{\sigma^2(M, z)} \exp\left\{\frac{-\delta_c^2}{2\sigma^2(M, z)}\right\}$$



Cluster Surveys Provide a Rich Source of Information

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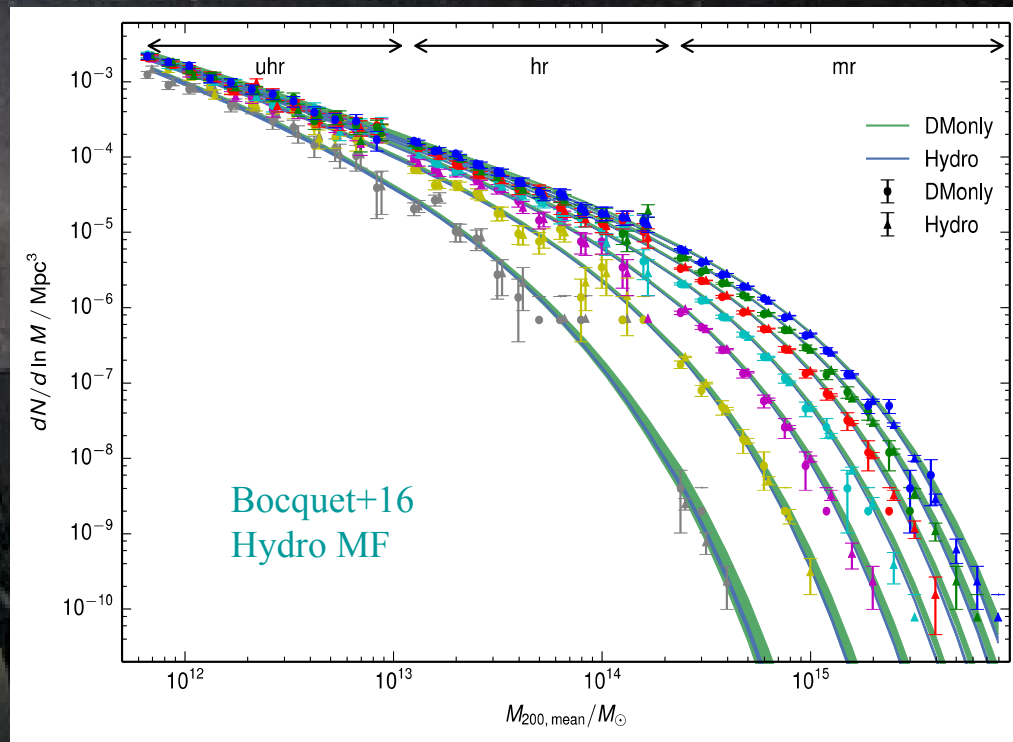
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What Are Galaxy Clusters?

Galaxy clusters are the most massive, collapsed structures in the universe. They contain galaxies, hot ionized gas ($10^7\text{-}8\text{K}$) and dark matter.

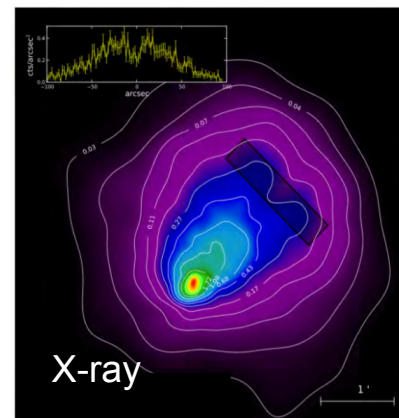
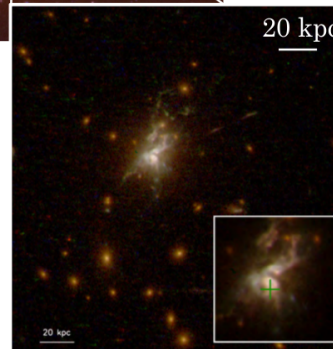
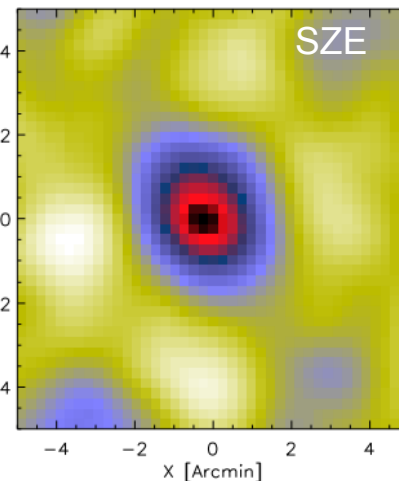
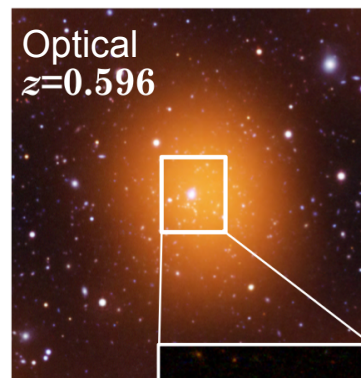
In typical structure formation scenarios, low mass clusters emerge in significant numbers at $z\sim 2\text{-}3$

Clusters are good probes, because they are massive and “easy” to detect through their:

- X-ray emission
- Light from galaxies
- Sunyaev-Zel’dovich Effect

SPT-CL J2344-4243: The “Phoenix Cluster”

McDonald+12



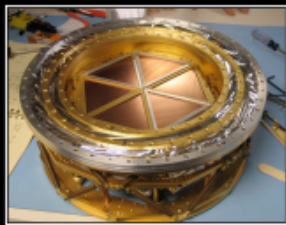
The South Pole Telescope (SPT)

10-meter sub-mm quality wavelength telescope

90, 150, 220 GHz and
1.6, 1.2, 1.0 arcmin resolution

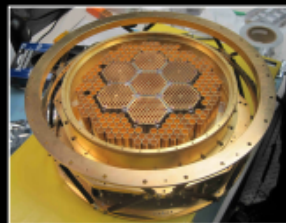
2007: SPT-SZ

960 detectors
90, 150, 220 GHz



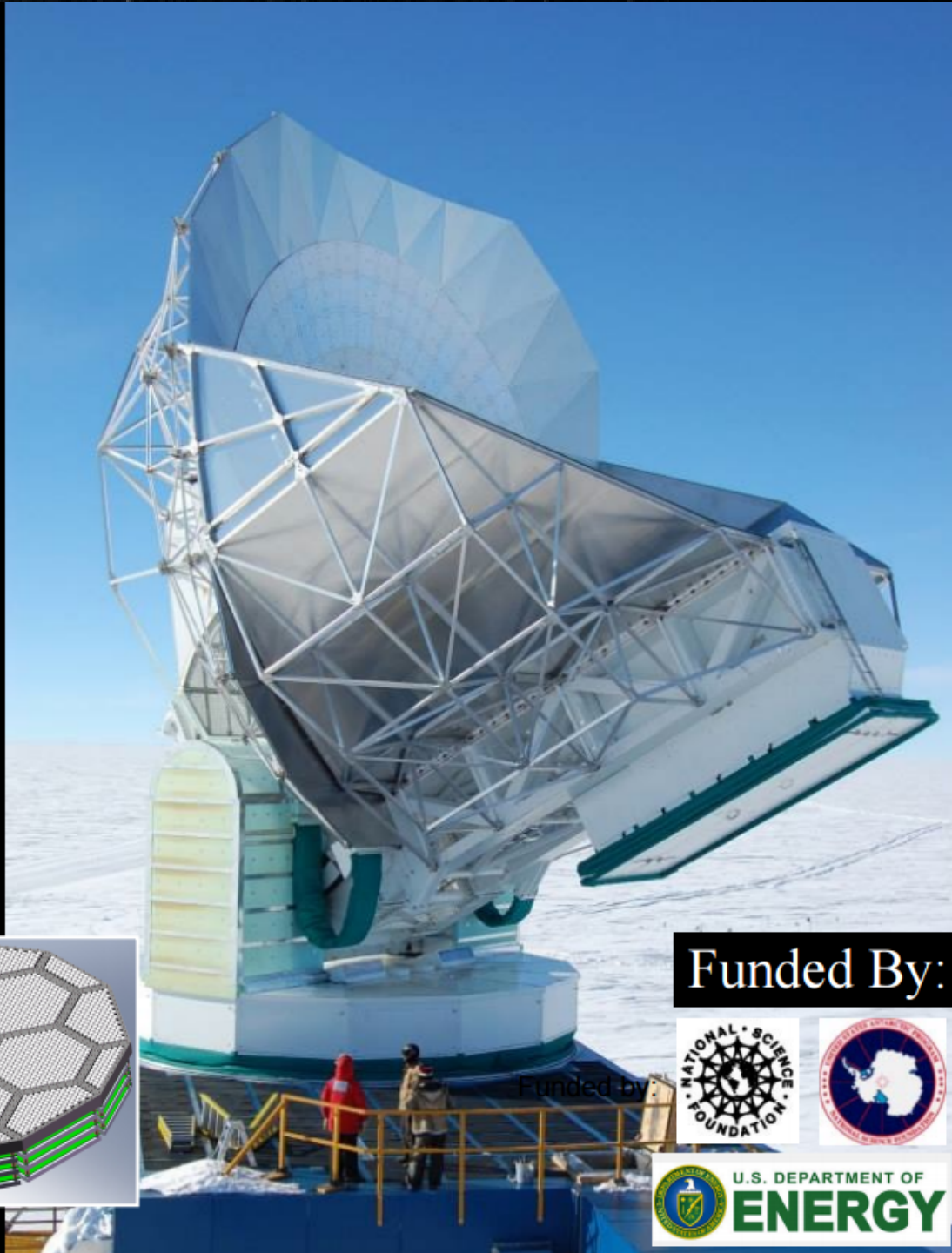
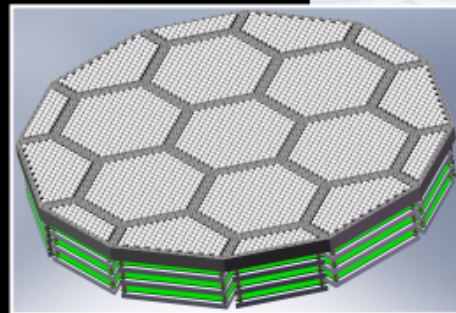
2012: SPTpol

1600 detectors
90, 150 GHz
+Polarization



2016: SPT-3G

~15,200 detectors
90, 150, 220 GHz
+Polarization

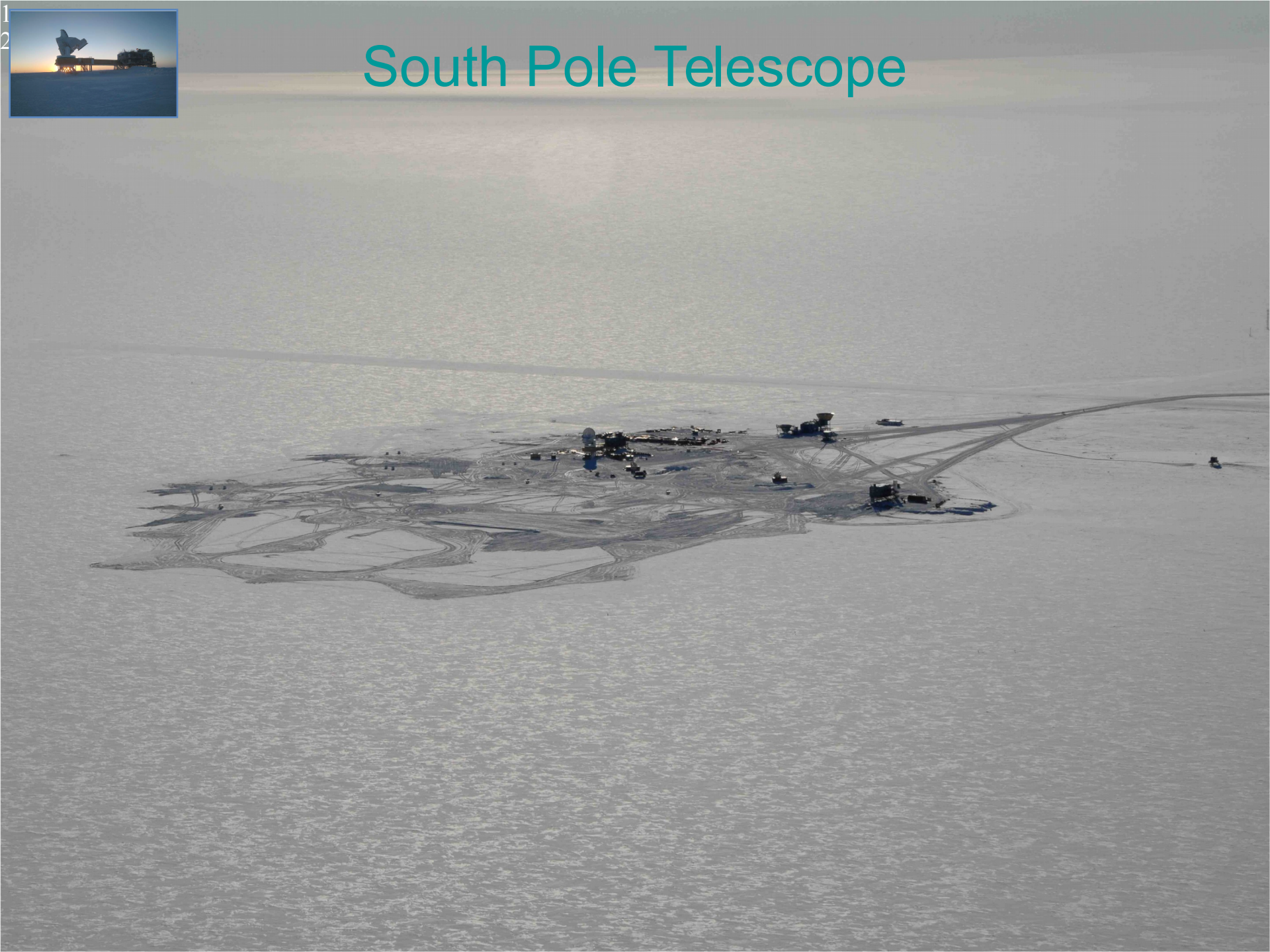


Funded By:



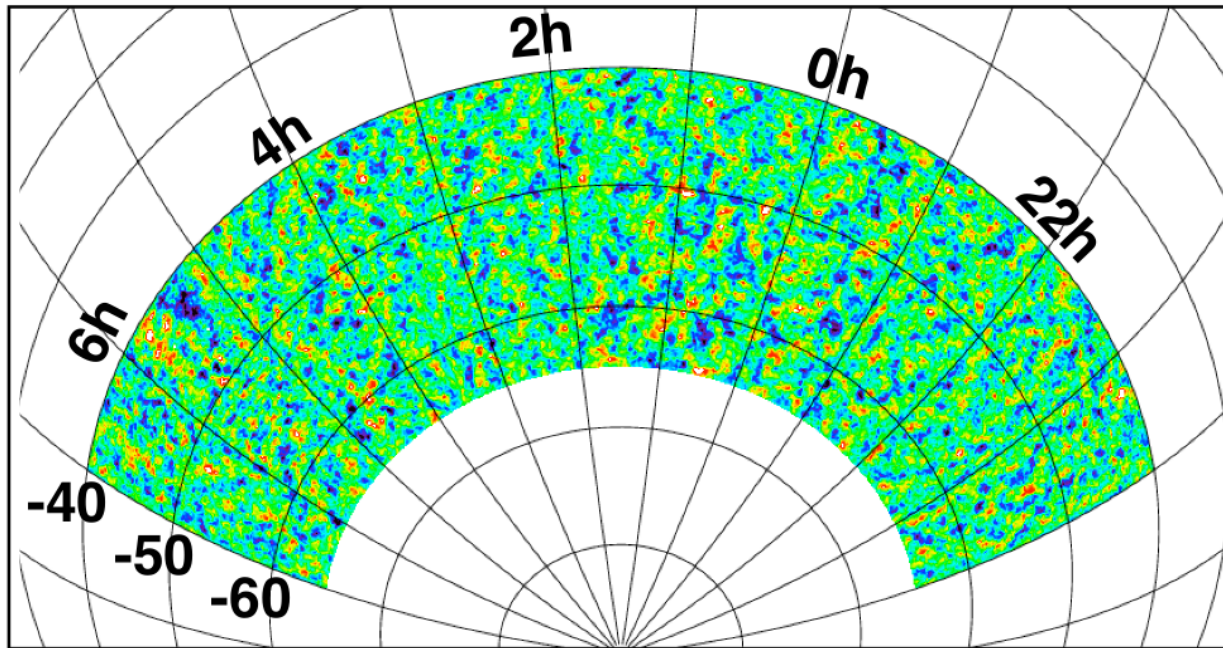


South Pole Telescope



SPT Survey

The 2500 deg² SPT-SZ Survey (2007-2011):

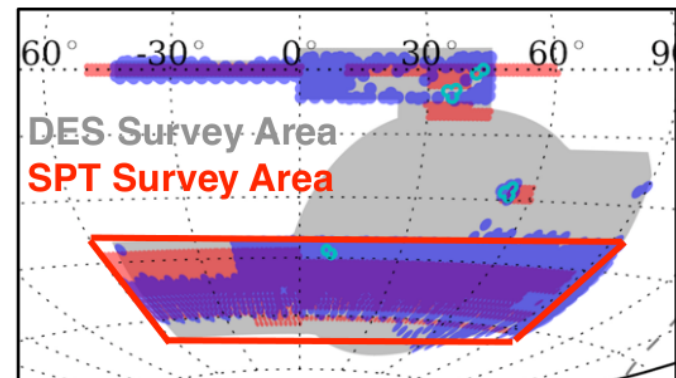


Final survey depths of:

- **90 GHz:** 40 μK_{CMB} -arcmin
- **150 GHz:** 17 μK_{CMB} -arcmin
- **220 GHz:** 80 μK_{CMB} -arcmin

Complete overlap with DES survey

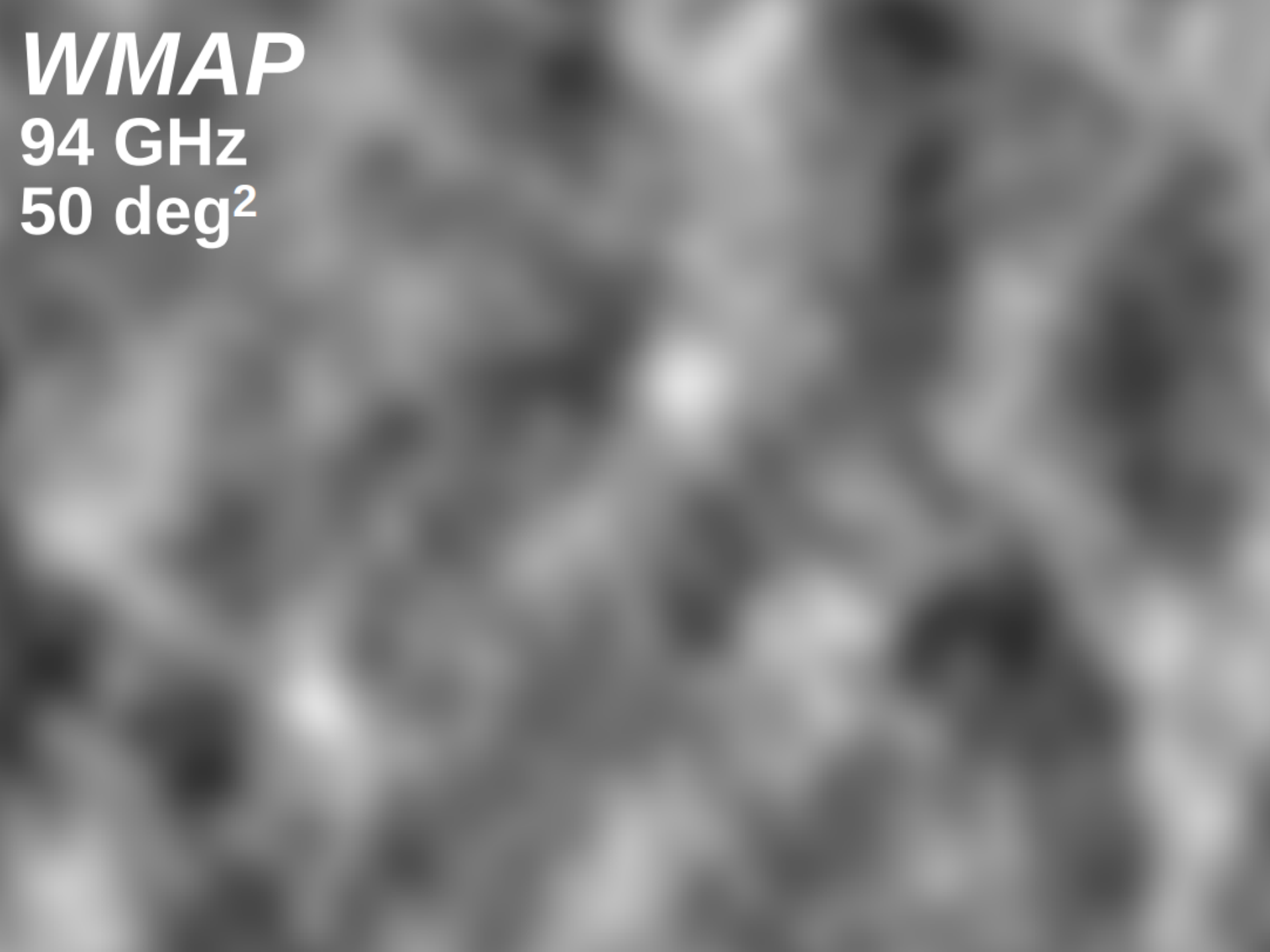
Saro+15, +16



WMAP

94 GHz

50 deg²





Planck

143 GHz

50 deg²

2x finer angular
resolution WMAP

7x deeper

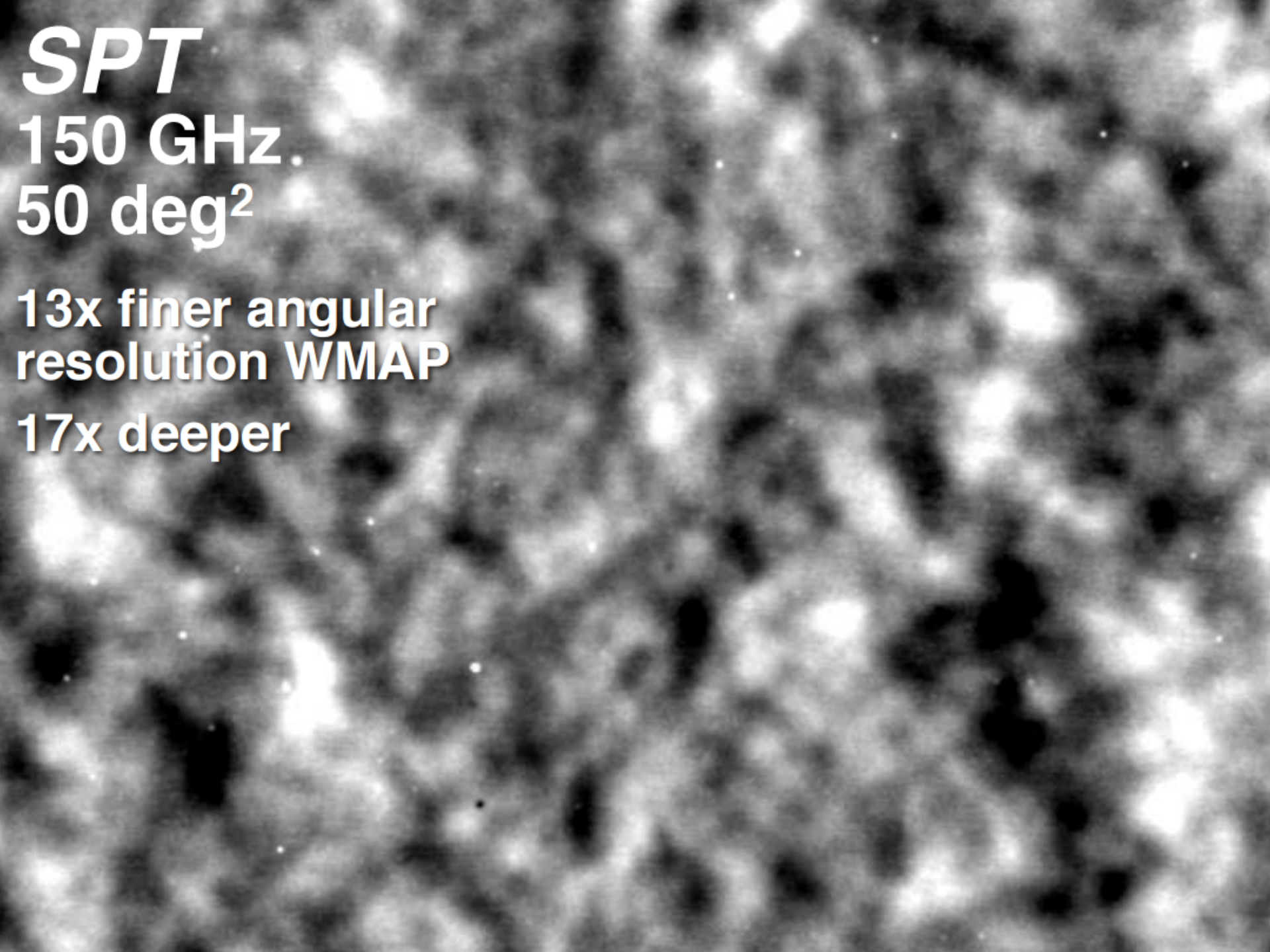
SPT

150 GHz.

50 deg²

**13x finer angular
resolution WMAP**

17x deeper

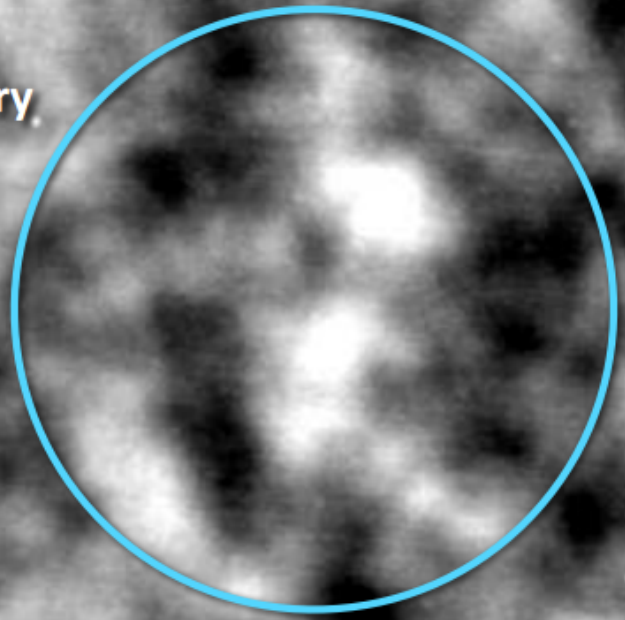
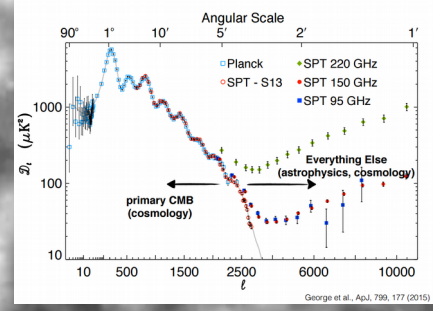


SPT

150 GHz
50 deg²

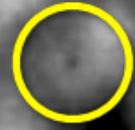
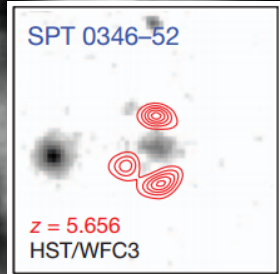
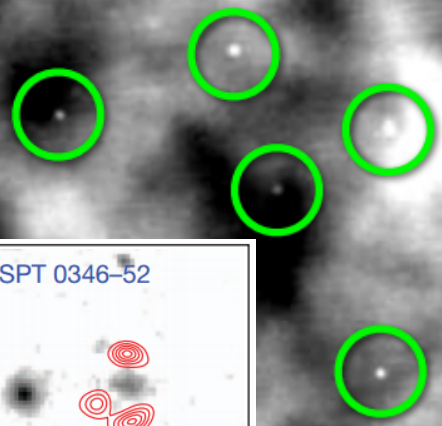
CMB Anisotropy

Primordial and secondary anisotropy in the CMB



Point Sources

Active galactic nuclei, and the most distant, star-forming galaxies

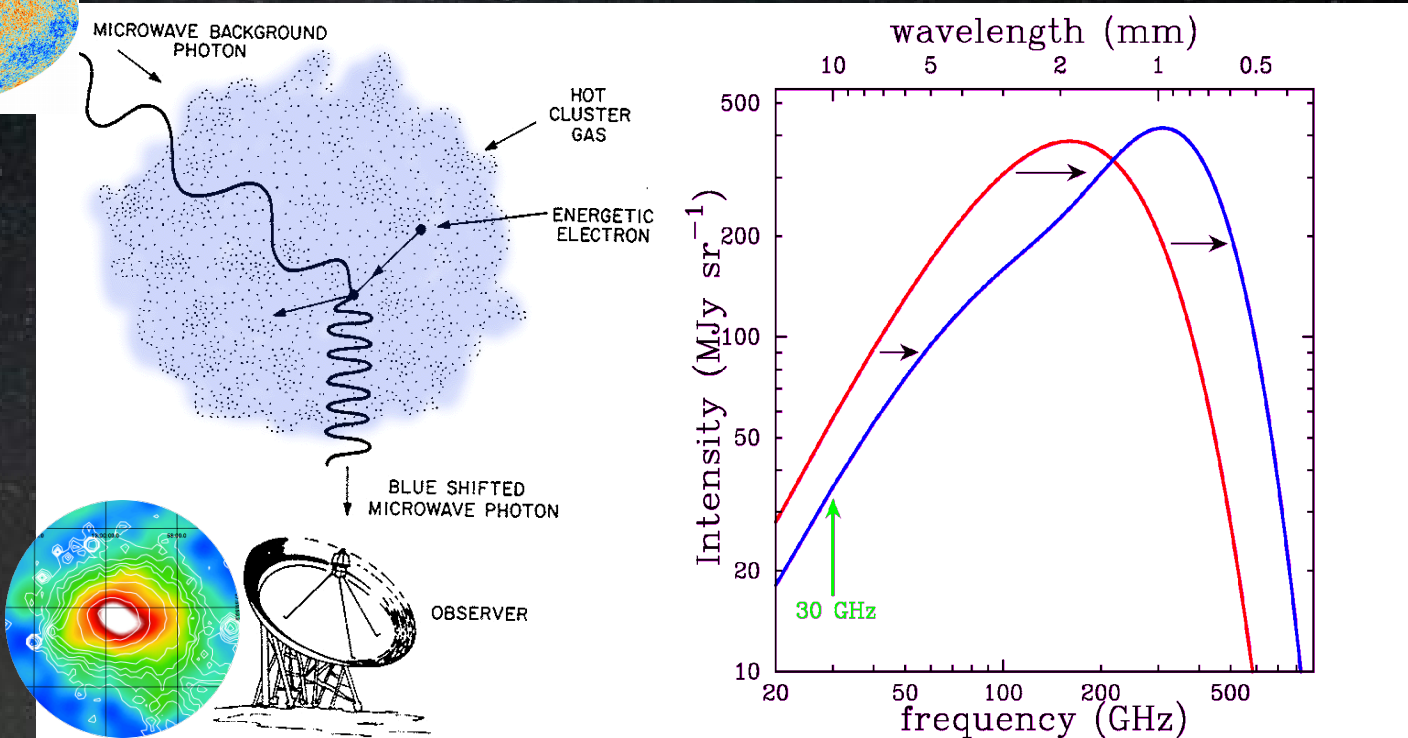
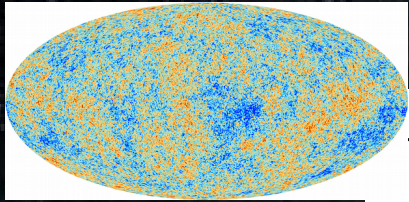


Clusters of Galaxies

“Shadows” in the microwave background from clusters of galaxies



Clusters and the Sunyaev-Zel'dovich Effect



Adapted from L. Van Speybroeck Sunyaev & Zel'dovich 1970, 1972

Spectral Distortion of CMB – redshift independent!

Clusters and the Sunyaev-Zel'dovich Effect

The change of CMB temperature at the position of the the cluster due to the SZE can be expressed as:

$$\frac{T(\hat{n}) - T_0}{T_0} = \int G(\nu) \frac{k_B T_e}{m_e c^2} d\tau = G(\nu) y_c$$

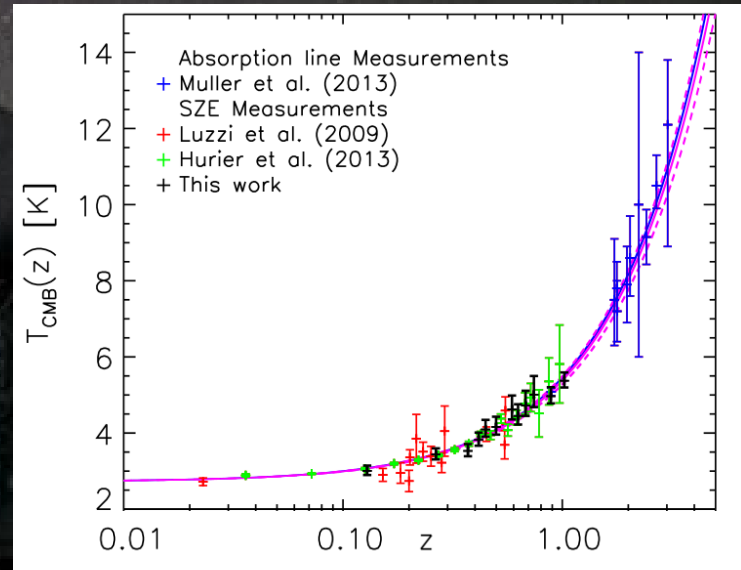
Where: $y_c = (k_B \sigma_T / m_e c^2) \int n_e T_e dl$, $G(x) = x \coth(x/2) - 4$ and $x \equiv h\nu / kT$

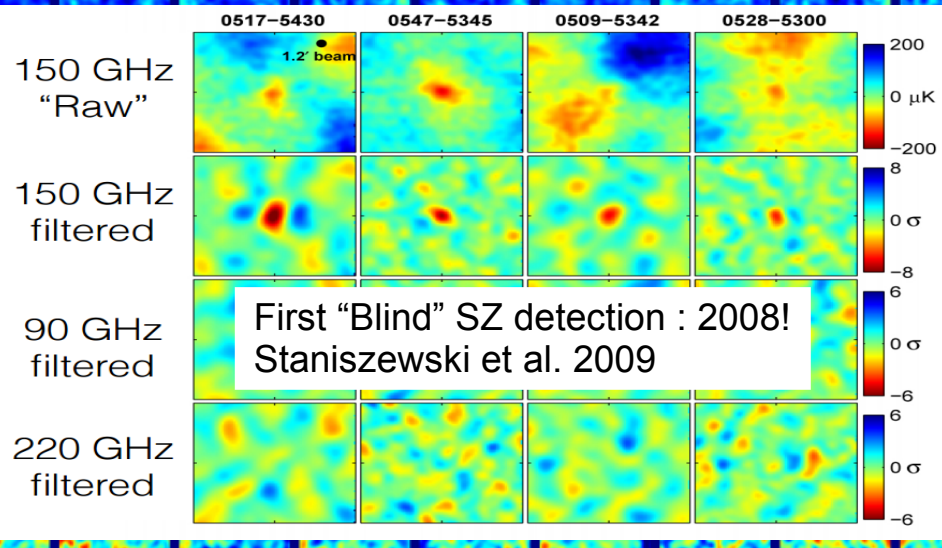
If the Universe expands adiabatically we have:

$$T(z) = T_0(1 + z) \quad \nu(z) = \nu_0(1 + z)$$

$$x = h\nu(z) / kT(z) \downarrow = h\nu_0 / kT_0 = x_0$$

- Redshift independent \Leftrightarrow
Allows to test adiabatic expansion of the Universe
Saro+14





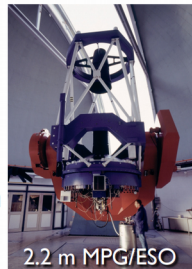
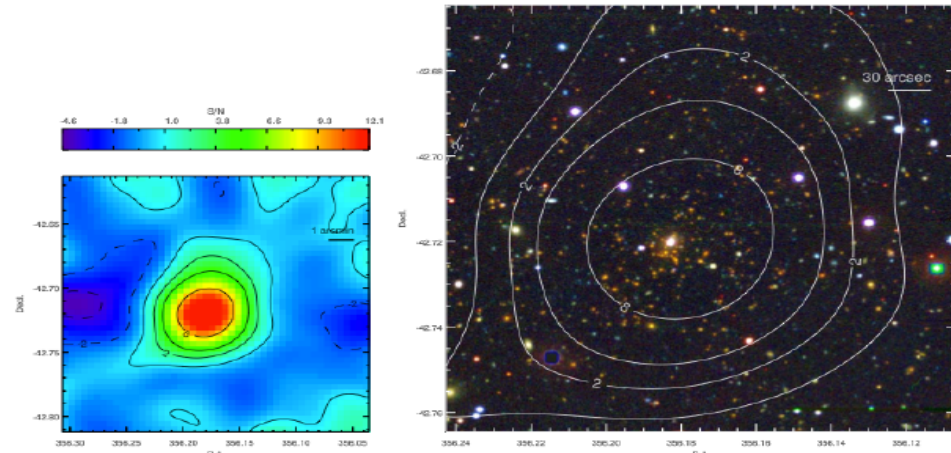
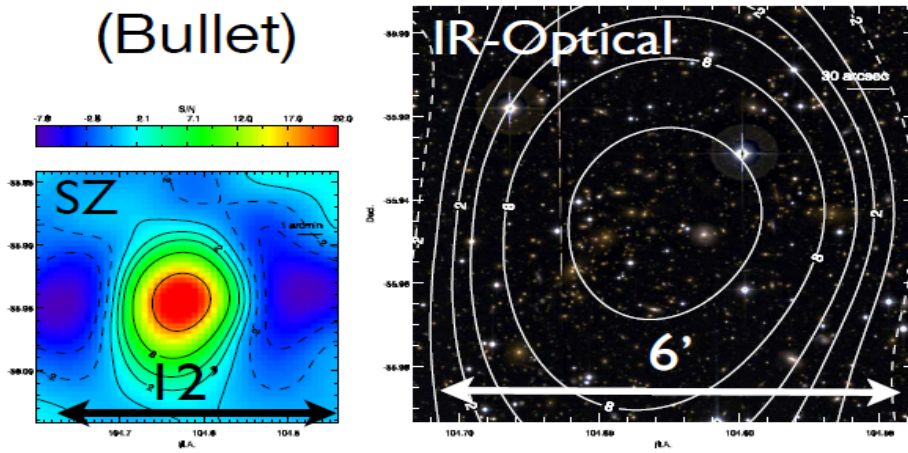
> 500 Clusters in SPT-SZ sample

Confirmation of Galaxy Population

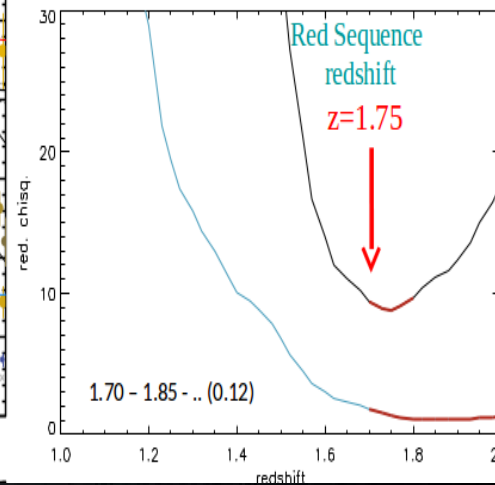
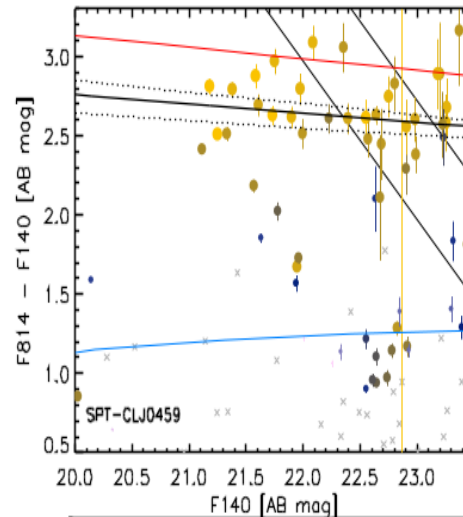
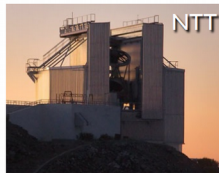
- Over the broad redshift range of the sample, we use optical and NIR imaging to probe for the galaxy population (**Strazzullo+**)

0658-5358 ($z=0.30$)
(Bullet)

2344-4243 ($z=0.62$)



Multiple-facility Imaging Campaign
for Cluster Confirmation



SPT-SZ Sample

Song+12, Bleem+15

- 2500 deg² sample

- 516 at $\xi > 4.5$

- 387 at $\xi > 5.0$

Bleem+15

- High z subsample

- ~ 150 (80) > 0.8

- ~ 70 (40) at $z > 1$

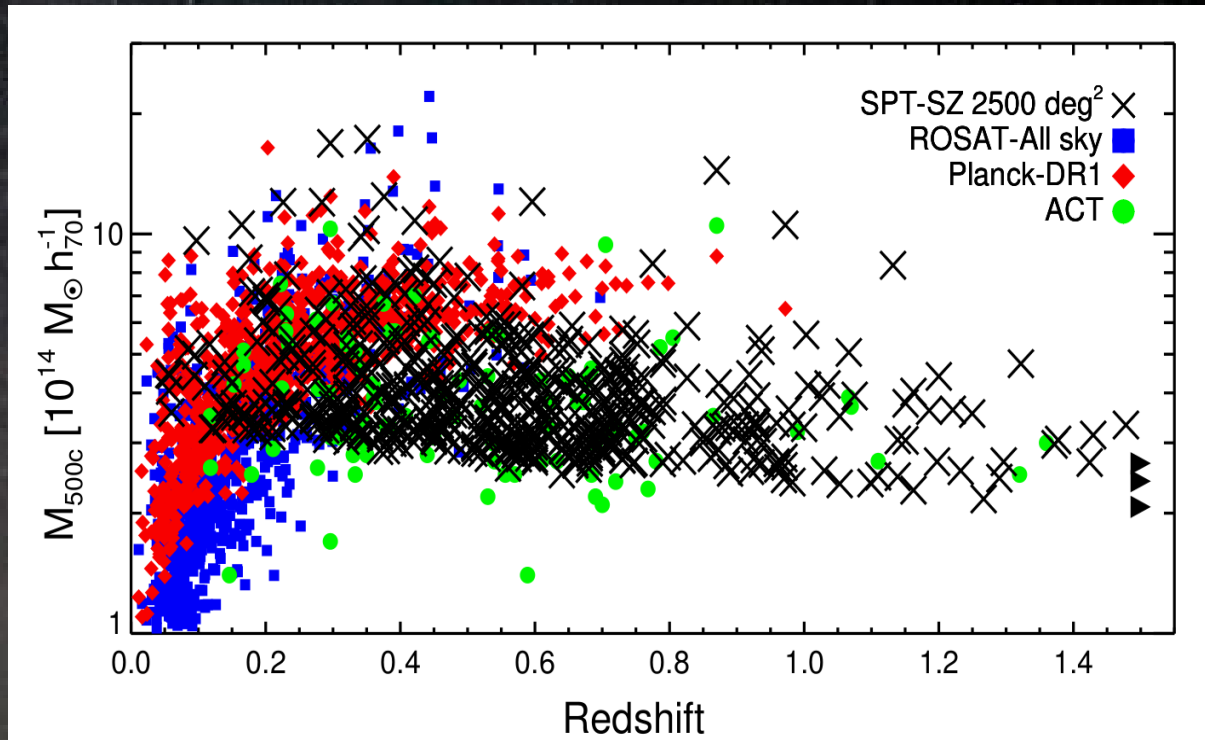
- Max $z_{\text{spec}} = 1.47$

Bayliss+13

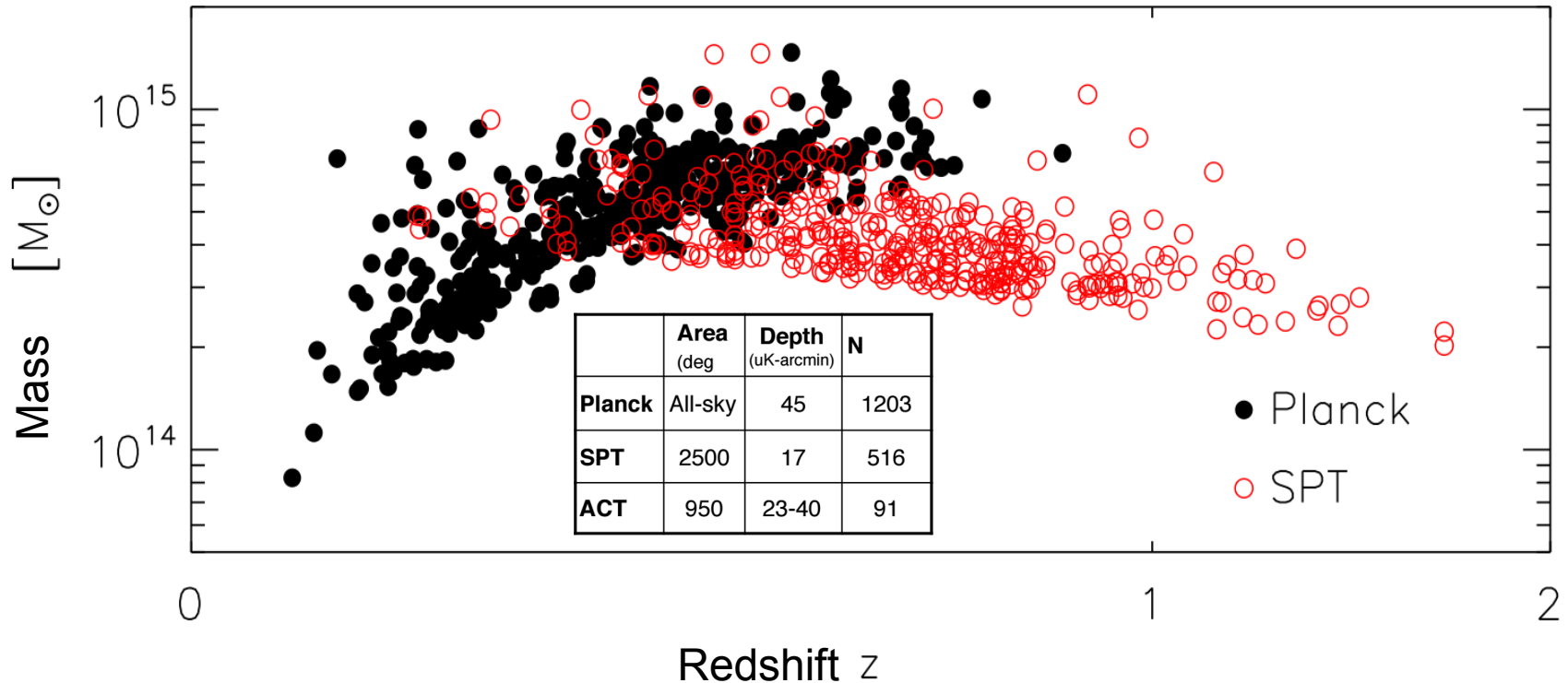
- Highest phot-z

Strazzullo+

- Clean sample with $M_{500} > 3 \times 10^{14} M_{\odot}$ to $z \sim 1.7$



Planck & SPT



- As of today ~ 95% of SZE detected clusters by either Planck or SPT
- Cosmological samples almost equal number: 439 (Planck) vs 377 (SPT)

EXQUISITE COMPLEMENTARITY!!!

Multi-wavelength Observations: Mass Calibration

- Multi-wavelength mass calibration campaign, including:

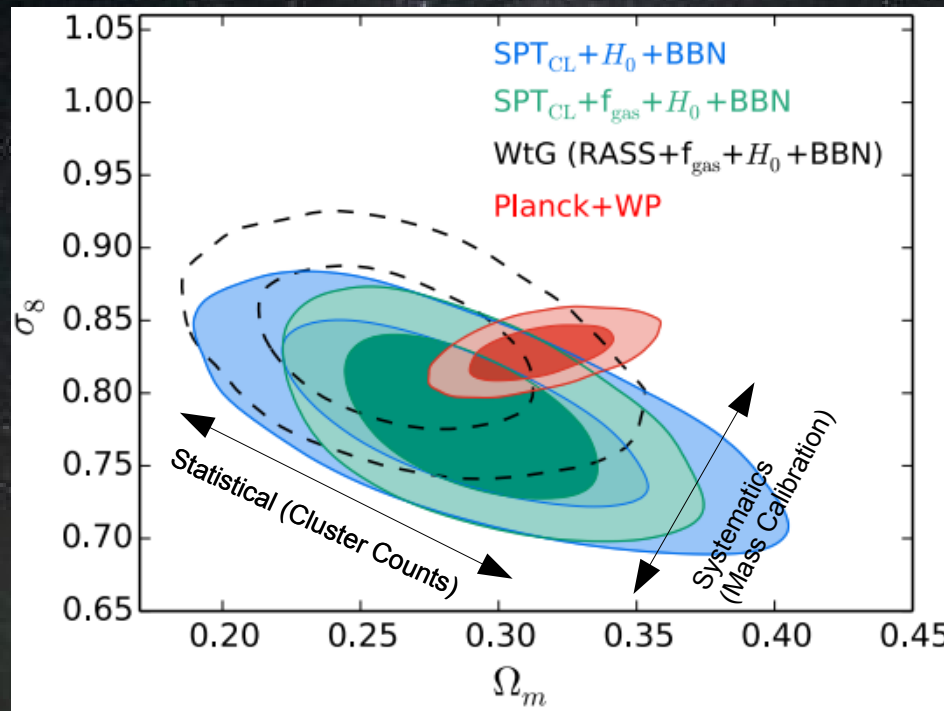
- X-ray with
 - Chandra
 - XMM
- Weak lensing from:
 - Magellan ($0.3 < z < 0.6$)
 - HST ($z > 0.6$)
 - DES
- Dynamical masses from
 - Gemini ($z < 0.8$)
 - VLT ($z > 0.8$)
 - Magellan ($z > 0.8$)



SPT Cluster Cosmology

de Haan+16

- With pure sample, model for selection, and calibration, we can test cosmology:



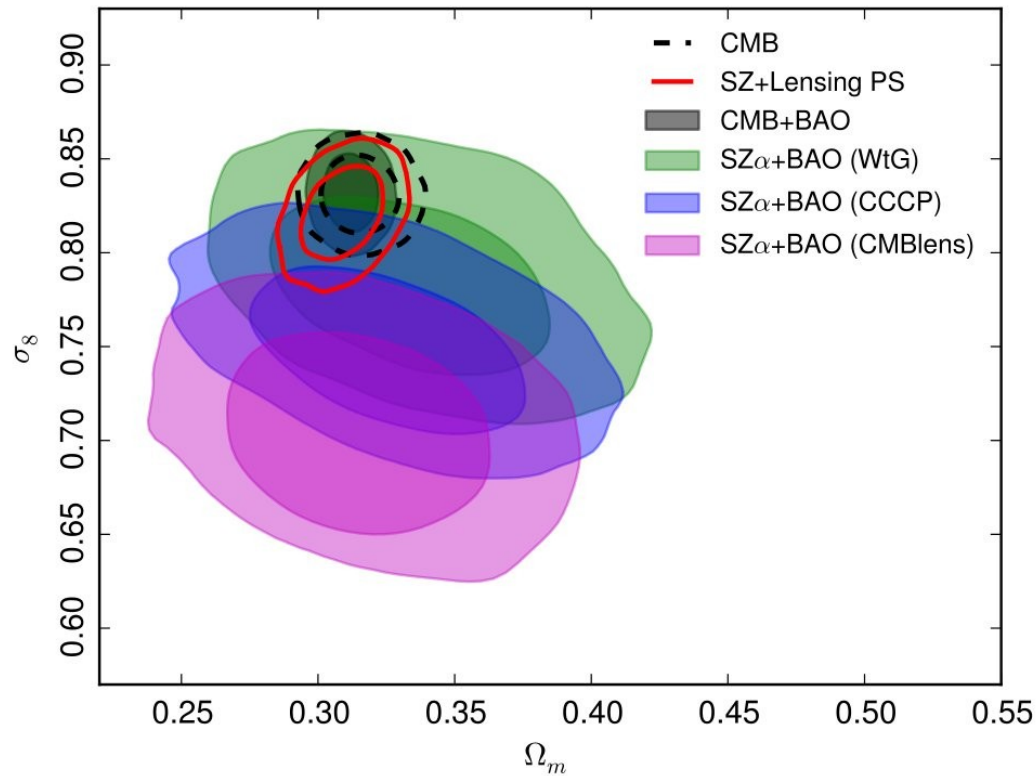
- 387 SPT clusters
- Mass calibration
 - 82 X-ray Y_x s
 - WL prior on Y_x -mass
- 15 parameters
 - 6 cosmological
 - 4 SZ mass-obs
 - 4 X-ray Y_x mass-obs
 - 1 Correlated Scatter
- Tension?
 - Insignificant in Λ CDM
 - Insignificant in wCDM

SPT Cluster Cosmology Constraints in good agreement with other probes within Λ CDM and wCDM models

SPT-SZ: $w=-1.28\pm 0.31$ SPT-SZ++: $w=-1.023\pm 0.042$

Planck Cluster Cosmology

Planck Collaboration XXIV (2015)

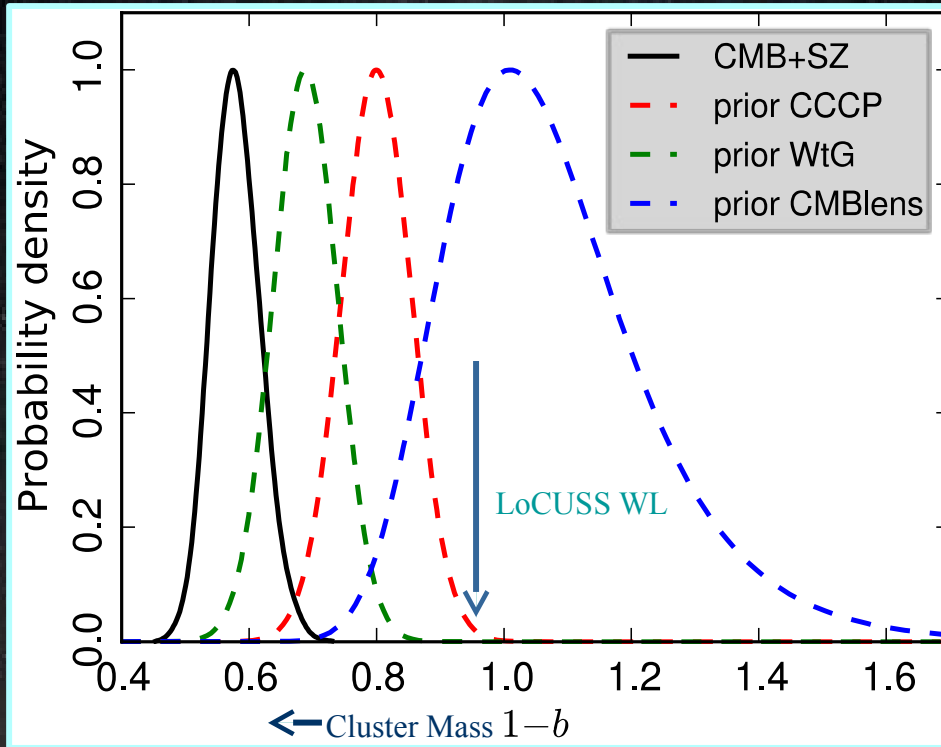


- 439 clusters
- Mass-obs rel'n
 - 3 params
(C_{sz} fixed)
- Mass calibration
 - WL- WtG
 - WL-CCCP
 - WL-CMB
- Significant tension only if CMB WL used

PlanckSZE+BAO (CCCP): $w=-1.00\pm 0.18$

Planck Cluster Mass Priors

Planck Collaboration XXIV (2015)



- External cosmology priors prefer higher masses than direct measurements
- CMB lensing and LoCUSS WL imply no hydrostatic mass bias
- Some tension among mass priors

Planck adopts hydrostatic masses as baseline
 b is hydrostatic mass bias scale factor

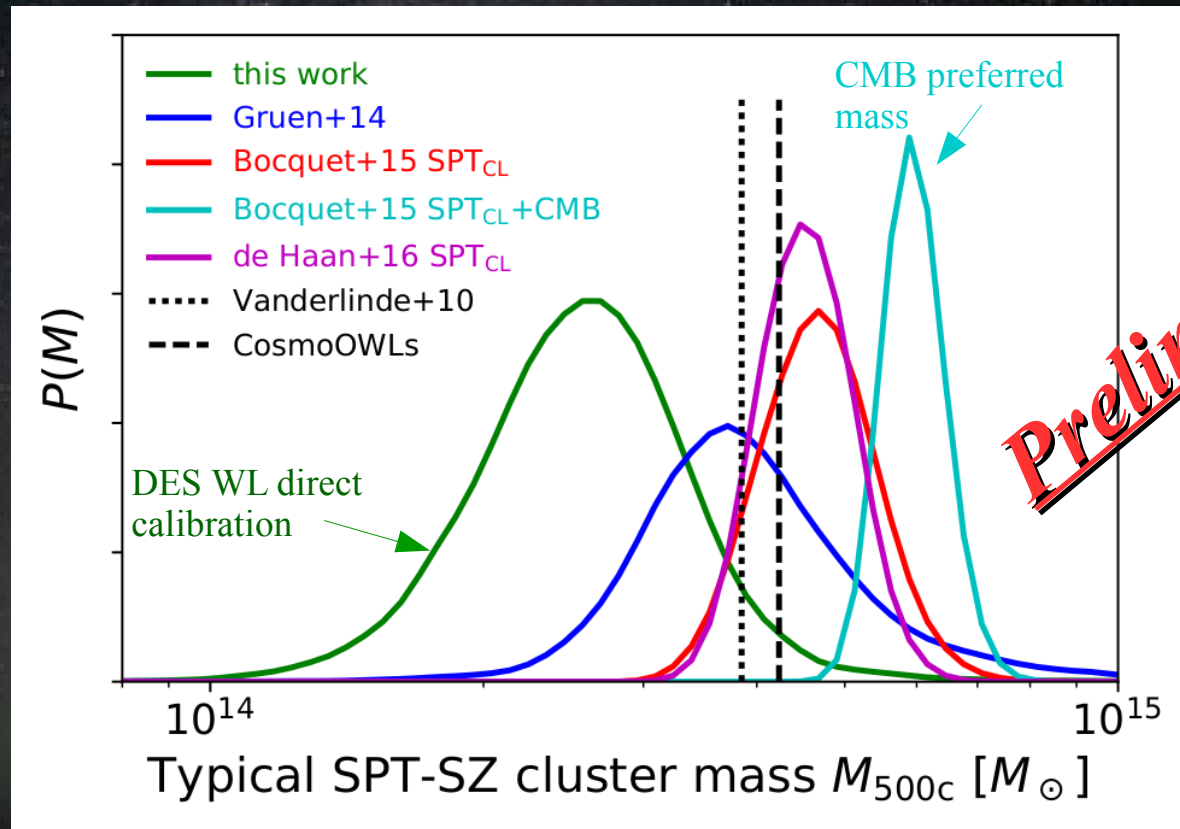
$$M_{\text{hydro}} = (1-b) M_{\text{true}}$$

WtG:	$1-b=0.69\pm 0.07$
CCCP:	$1-b=0.78\pm 0.09$
CMBLens:	$1-b=0.99\pm 0.19$
LoCUSS:	$1-b=0.95\pm 0.04$

SPT Cluster Masses

Stern+17

- External cosmo priors (also WMAP) tend to prefer higher cluster masses
- Direct constraints (WL, Dyn, Hydro) prefer lower values
- Constraints are still weak- everything statistically consistent



Constraints from 34 clusters in the redshift range $0.25 \leq z \leq 0.8$ using weak lensing shear from DES-SV (Stern et al., in prep.)



SPT Mass Calibration Ongoing

- Direct mass calibration of clusters
 - Dynamical masses:
 - **Bocquet+15** (with dispersions)
 - **Capasso+** (Jeans analysis)
 - Magnification masses:
 - **Chiu+16**
 - Shear masses:
 - **Dietrich+** (Magellan imaging)
 - **Schraback+** (HST+VLT imaging)
 - **Stern+** (DES imaging)



Do External Cosmological Priors Prefer Higher Cluster Masses?

- Evidence is intriguing but not compelling
- What might explain *if* future data show it is real?
 - Theoretical mass function wrong? (Bocquet+16)
 - Tinker mass function is biased on high mass end
 - $\Delta\sigma_8(\Omega_m/0.27)^{0.3} \sim +0.02$ (30% of the offset noted in Planck SZE analysis)
 - Unresolved systematics in the CMB data still possible-
 - Tension between base P15 CMB and CMB Lensing (Planck+15, Grandis+16)
 - Could incompleteness in the cluster sample play a role? (Gupta+16)
 - First measurement of 150GHz cluster radio galaxy LF
 - Indicates 2 to 5% incompleteness in SPT-SZ like survey
 - Revision of cosmological model required?