

# Flavor-specific Neutrino Self-interaction in Cosmology

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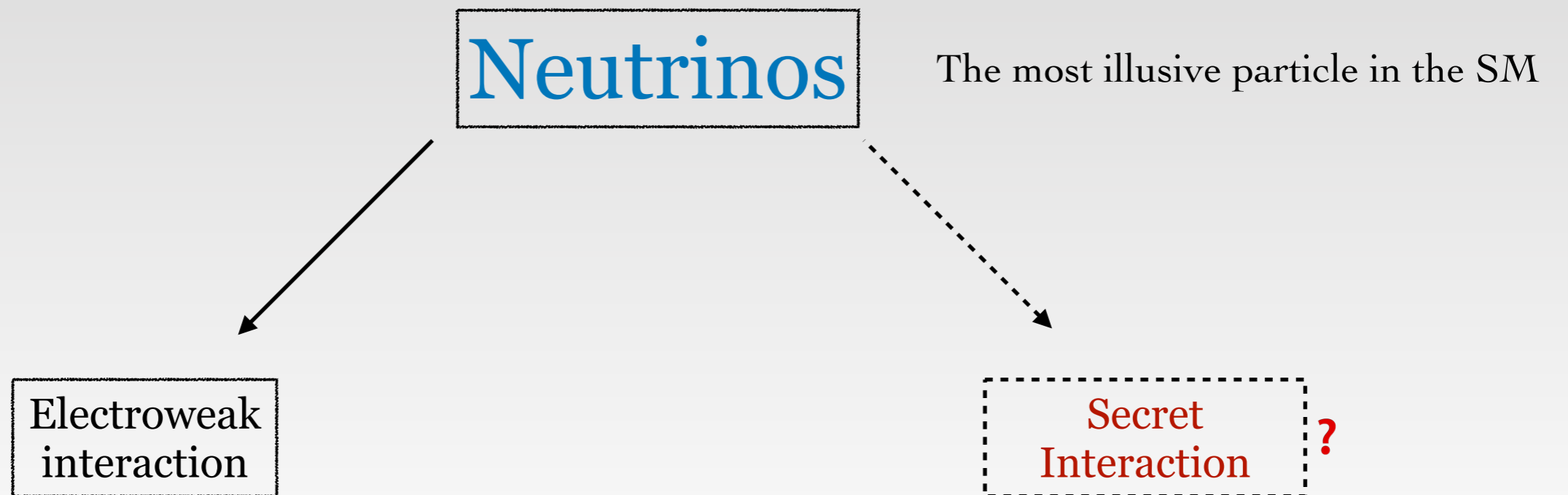
In collaboration with: Anirban Das (SLAC)  
[Based on arXiv:2011.12315]



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University of Pittsburgh

# Introduction



Self interaction, interaction with Dark sector etc.

- ◆ Anomalous signal in short- baseline experiments
- ◆ Supernova Neutrinos
- ◆ **Cosmological signatures**

# Cosmological signatures of Neutrino self interaction

$$\mathcal{L}_{\text{int}} \supset \frac{1}{2} g_{ij} \bar{\nu}_i \nu_j \phi, \quad g_{ij} = g \delta_{ij} \longleftarrow$$

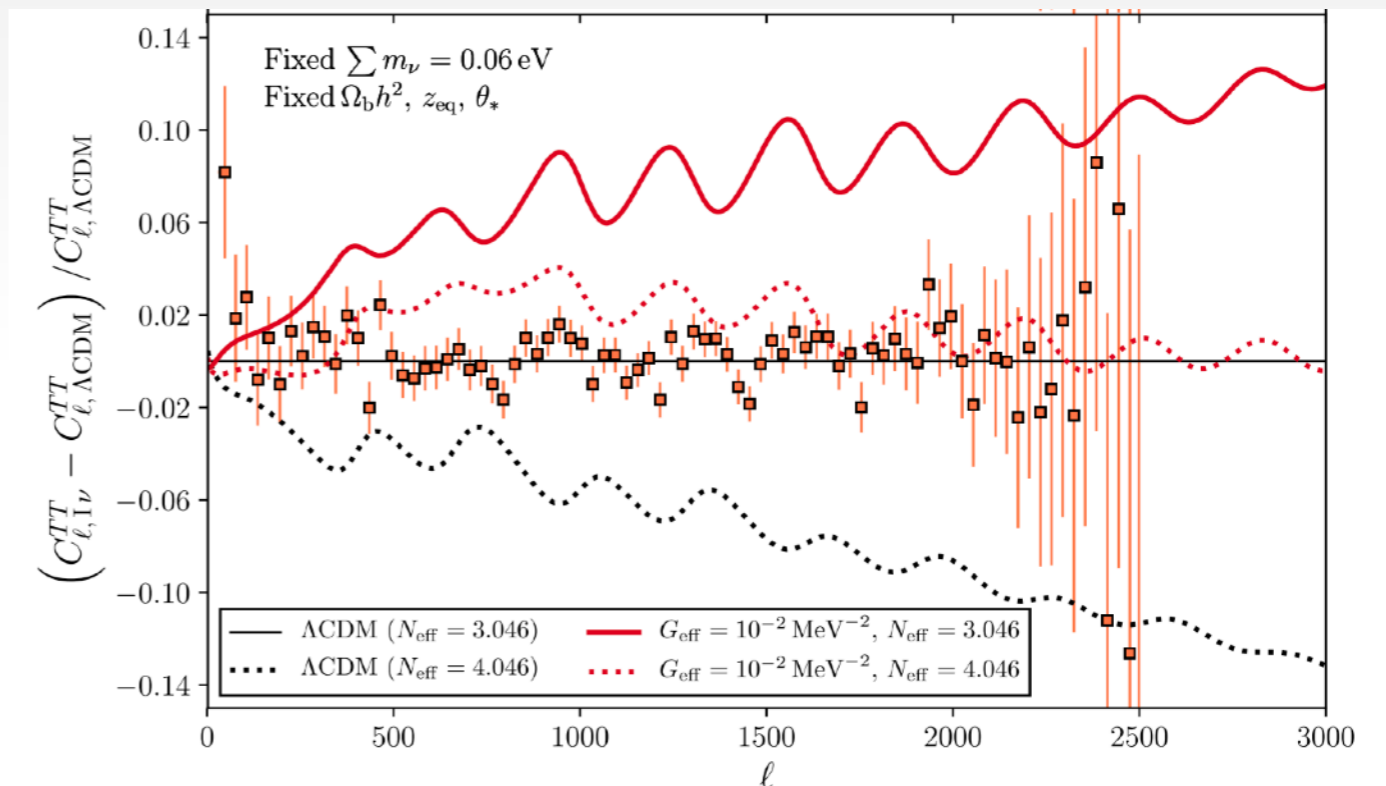
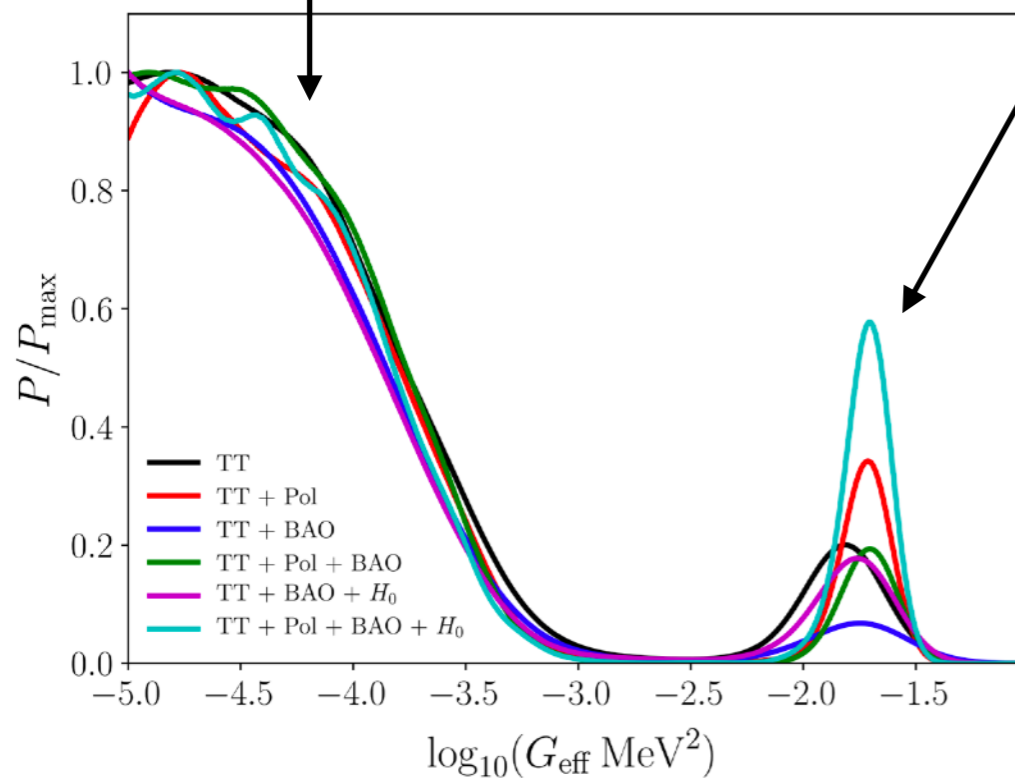
Flavor universal  
Self-interaction

(Mediator can be vector)

$$\mathcal{L}_{\text{eff}} = G_{\text{eff}} (\bar{\nu} \nu) (\bar{\nu} \nu), \quad G_{\text{eff}} = \frac{g^2}{m_\phi^2}$$

Moderately interacting  
(MI)

Strongly interacting  
(SI)



Degeneracy of  $G_{\text{eff}}$  with  $N_{\text{eff}}$  ( $H_0$ )

Proposed as a solution (?) of Hubble tension

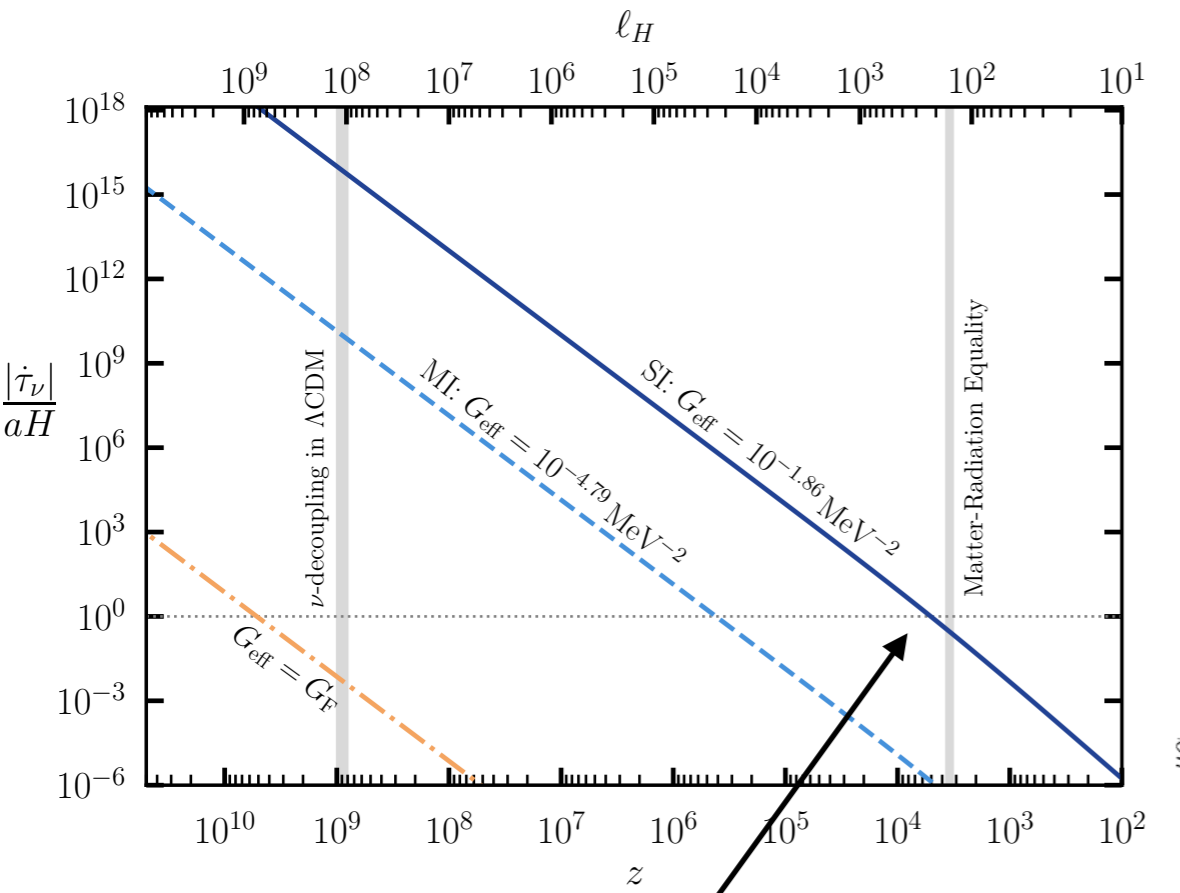
(Doesn't work when CMB polarisation data is included)

→ 4.4 $\sigma$  discrepancy between CMB  
and local measurement of  $H_0$

# Laboratory constraint

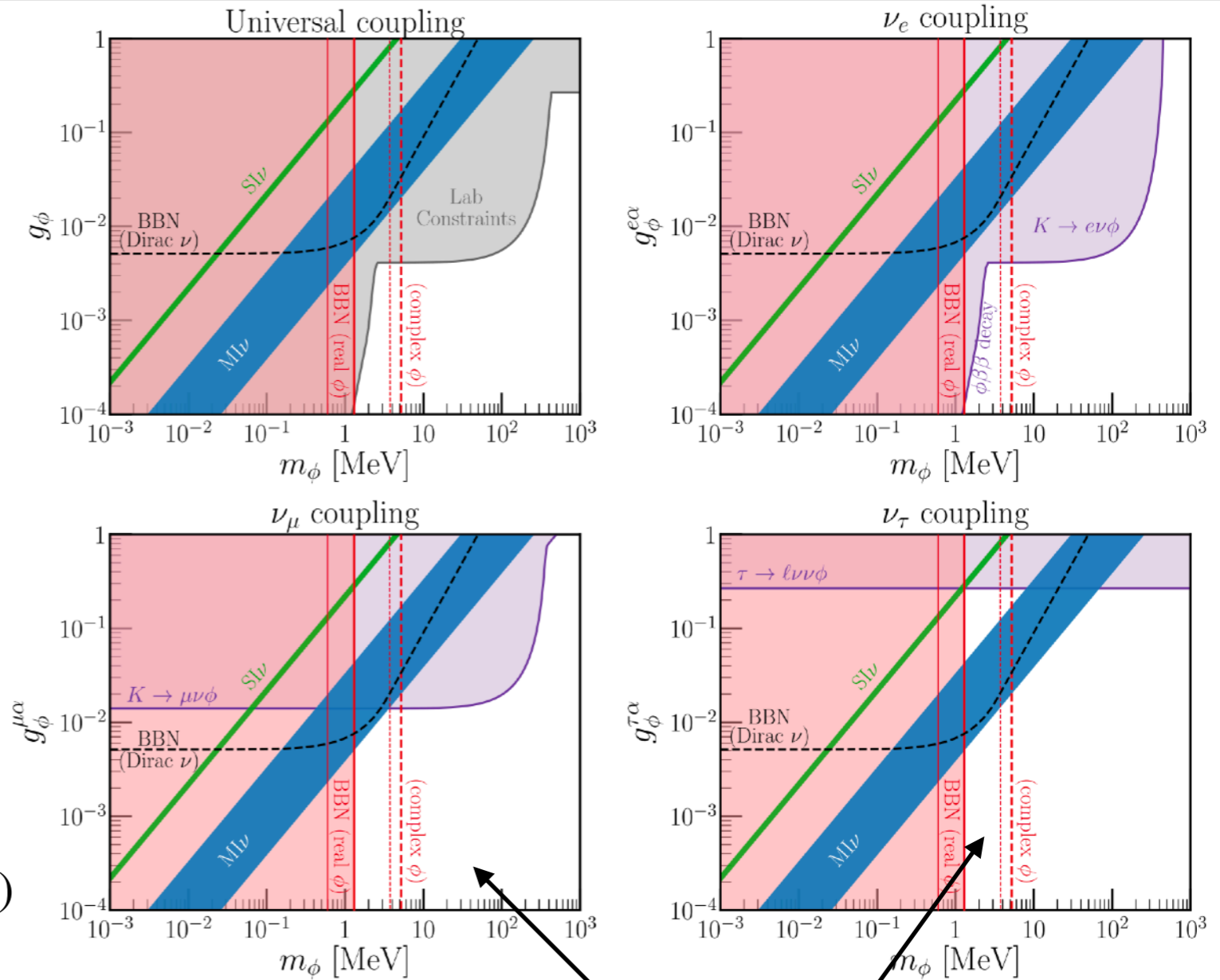
Universal coupling is strongly ruled out by laboratory constraints

$$\dot{\tau}_\nu = -a(G_{\text{eff}})^2 T_\nu^5$$



SI mode decoupling happens roughly at matter-radiation equality

$$(g_\phi \equiv g)$$



Blinov et. al., 1905.02727

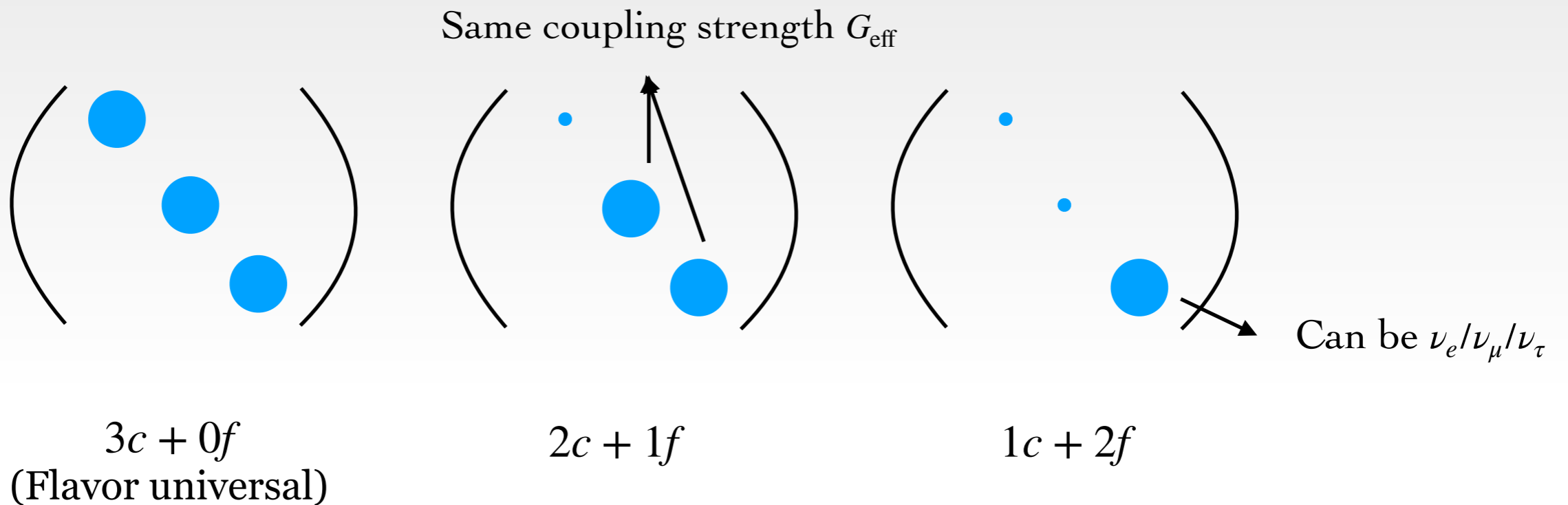
Constraints are comparatively weaker for coupling with  $\nu_\mu$  and  $\nu_\tau$

Need for cosmological analysis of Flavor specific neutrino self interaction

# Flavor specific neutrino self interaction in cosmology

CMB is insensitive to specific flavor ( $\nu_e, \nu_\mu, \nu_\tau$ ) of Neutrino  
 (Not sensitive to weak interaction)

CMB is sensitive to flavor specific interaction ‘collectively’



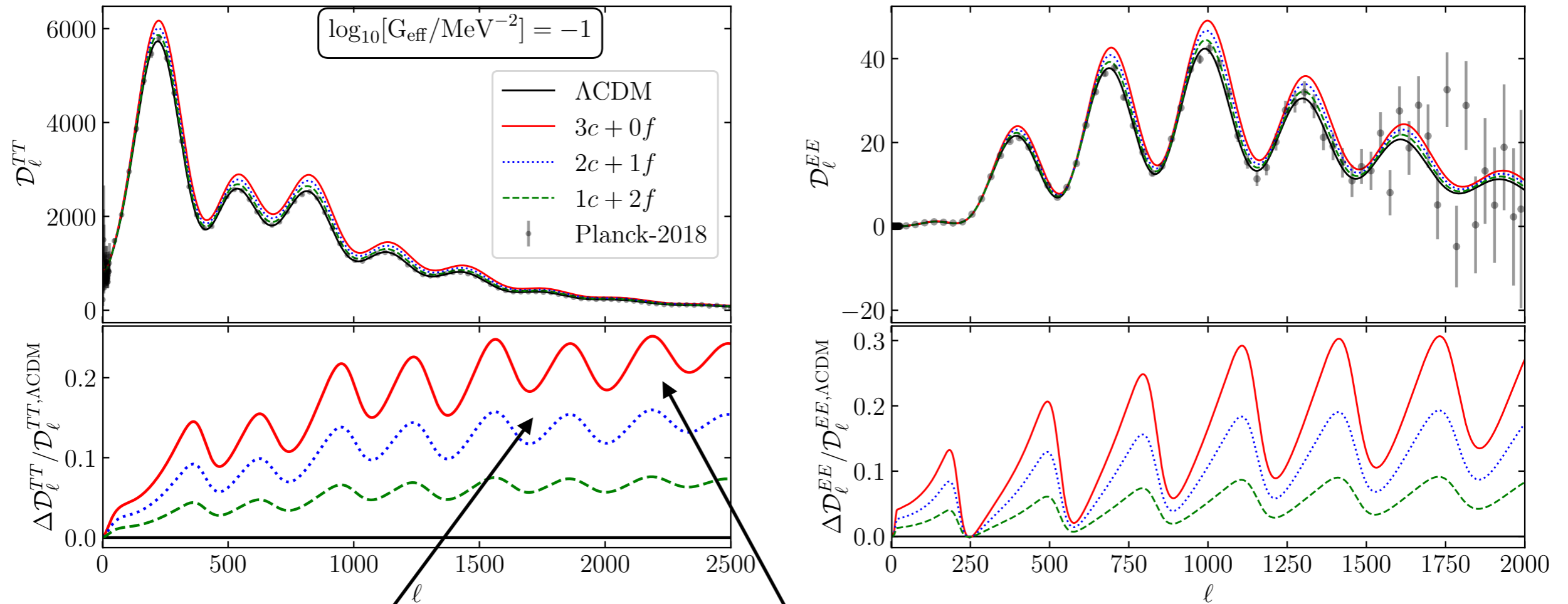
Common coupling strength  $G_{\text{eff}}$  for coupled flavors (CMB insensitive to specific flavor)

Assumptions

Massless neutrinos  
 3 flavor ( $N_{\text{eff}} = 3.046$ )  
 Flavor diagonal interaction

$c =$  coupled (interacting)  
 $f =$  free-streaming (non-interacting)  
 $\bullet \equiv 0$

# Effect on CMB spectrum



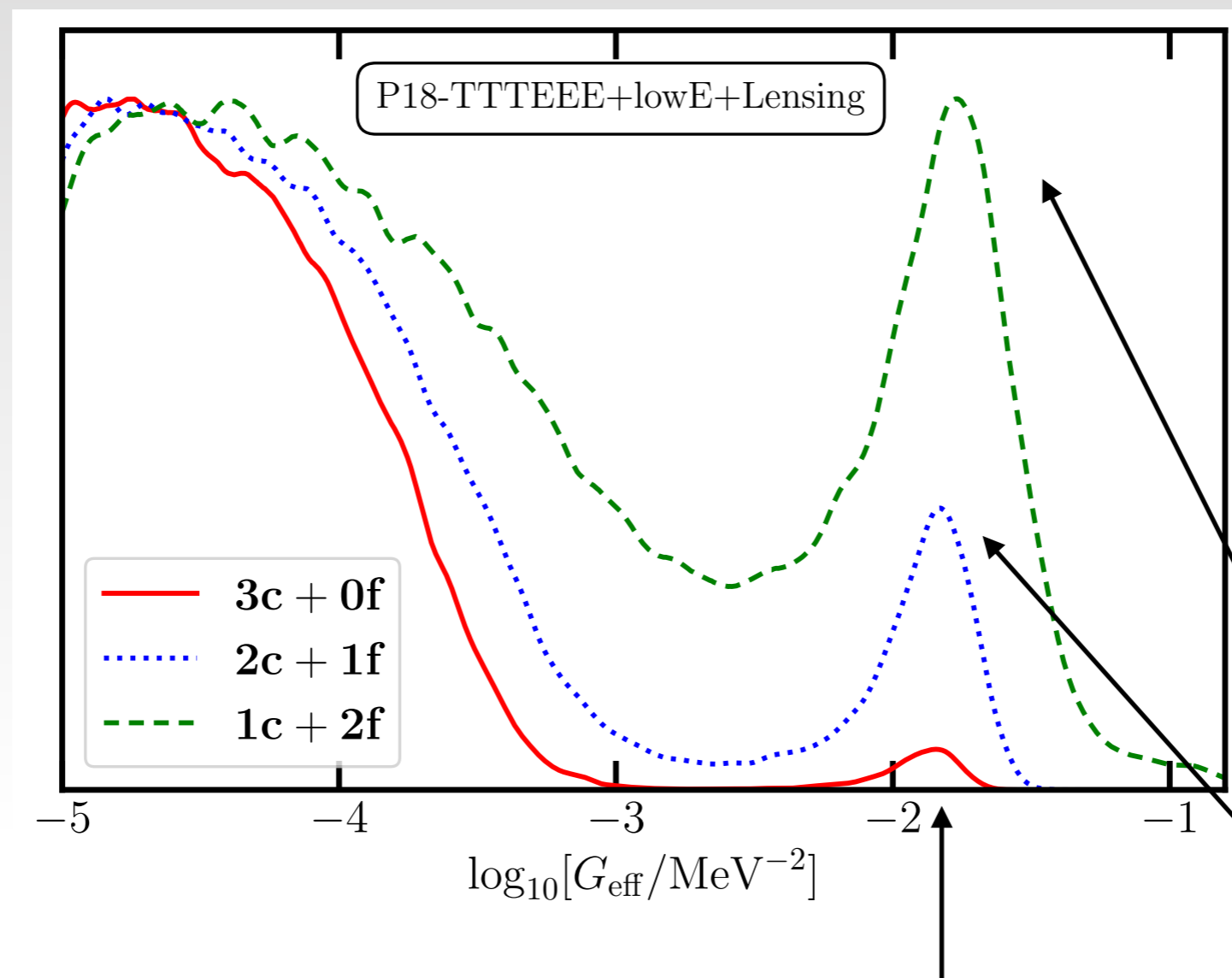
Phase shift (wiggle)

Enhancement at high  $\ell$

Changes are milder with less number of coupled neutrinos

$\Lambda\text{CDM} \equiv 0c + 3f$

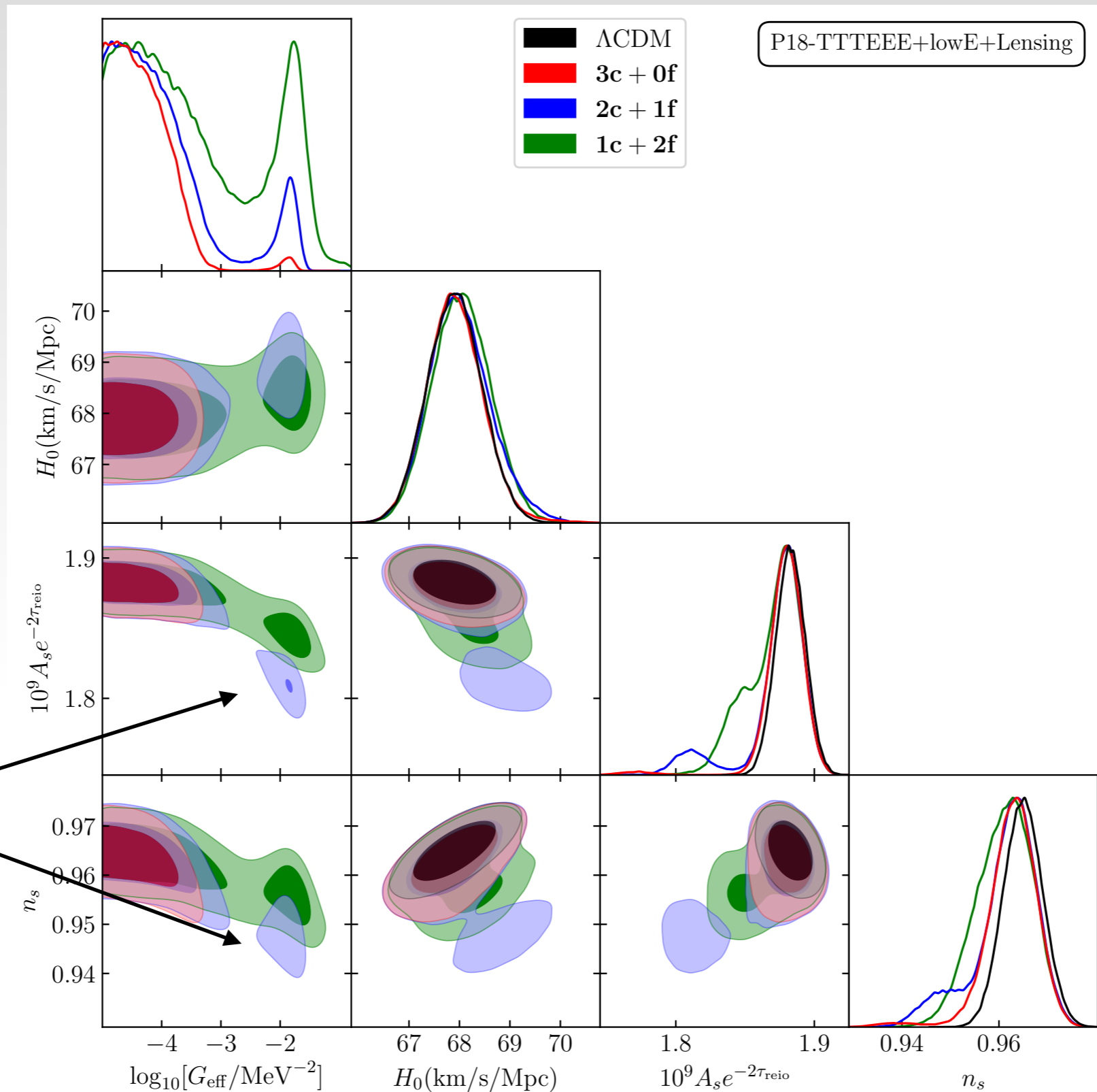
# Strong flavor specific interaction preferred by CMB



The position of the SI peak remains approximately the same

Significance of the SI mode increases dramatically in flavor specific scenario

# Strong flavor specific interaction preferred by CMB





# Origin of the SI mode and its enhancement in flavor specific scenario

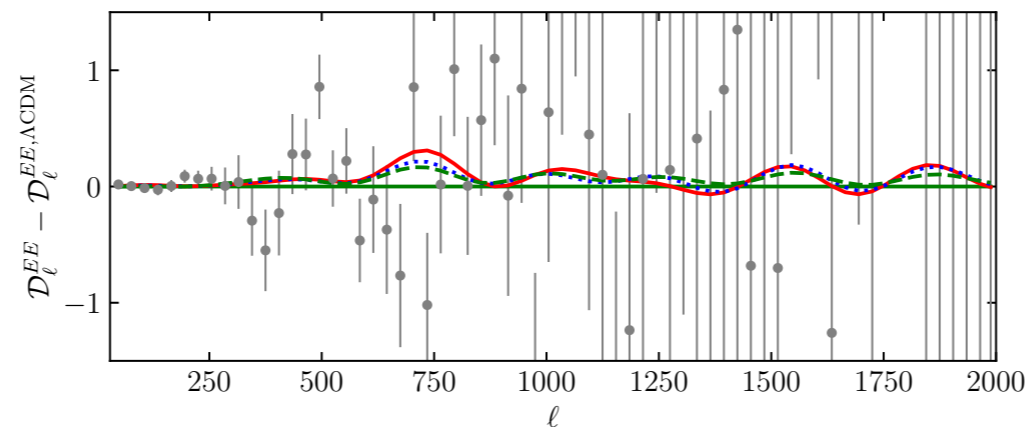
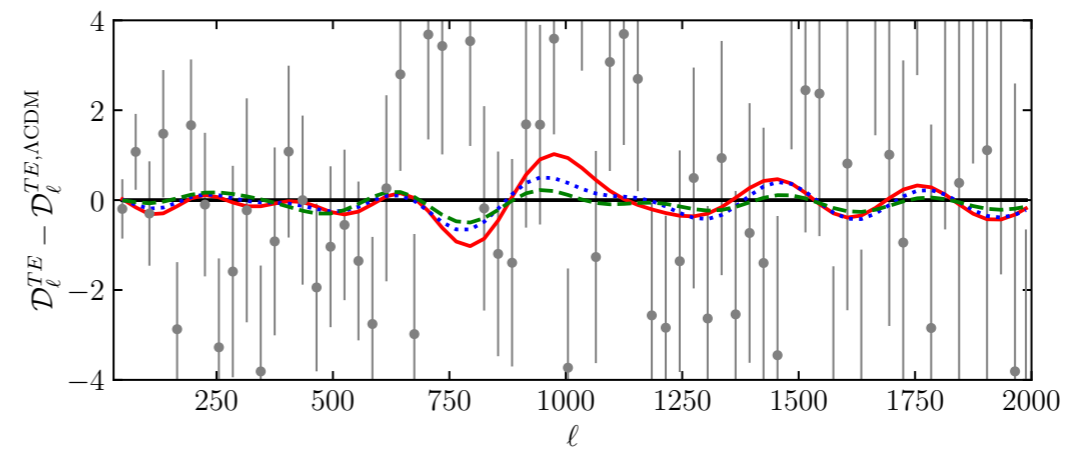
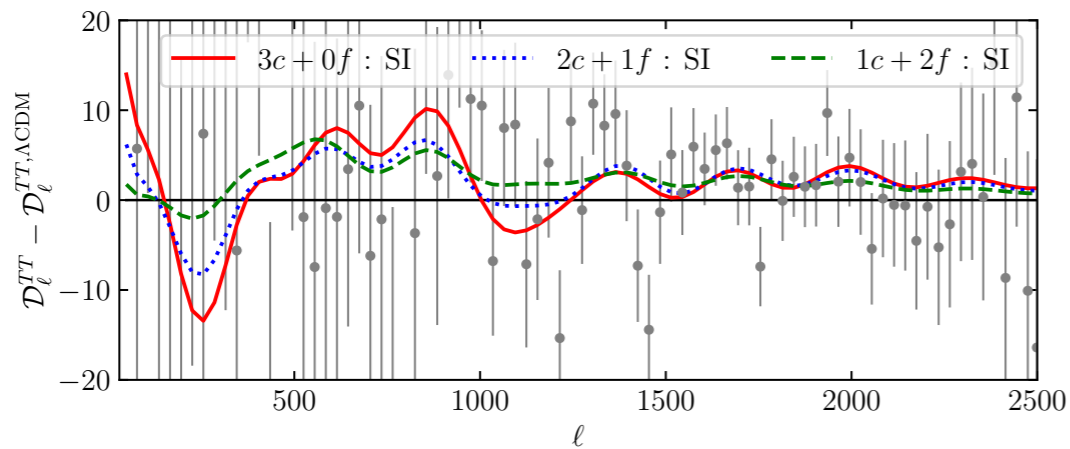
SI mode interaction strength keep **neutrino coupled till matter-radiation equality**

Affects **all the CMB peaks** ( $\ell \gtrsim 100$ )

$\Lambda$ CDM parameter ( $A_s, n_s \dots$ ) can compensate the changes

In flavor specific cases SI mode value of  $G_{\text{eff}}$  does not change

P18 : TTTEEE + lowE



SI mode fits some features of the residual

Changes are milder with less number of coupled neutrinos

More freedom to fit  
The residual  
(smaller  $\chi^2$ )

\*MI mode residual is virtually equivalent to  $\Lambda$ CDM  
\*Planck 2018 data with error bar are shown

# Effect on $H_0$ : Phase shift

Neutrino self interaction can enhance  $H_0$  even when  $N_{\text{eff}}$  is kept fixed

Photon transfer function —  $\cos(kr_s^* + \phi_\nu)$

Phase shift due to  
**free-streaming** neutrinos

$$\ell \approx kD_A^* = (m\pi - \phi_\nu) \frac{D_A^*}{r_s^*}$$

$$\phi_\nu \simeq 0.19\pi R_\nu$$

$$R_\nu = \frac{\rho_\nu}{\rho_\gamma + \rho_\nu}$$

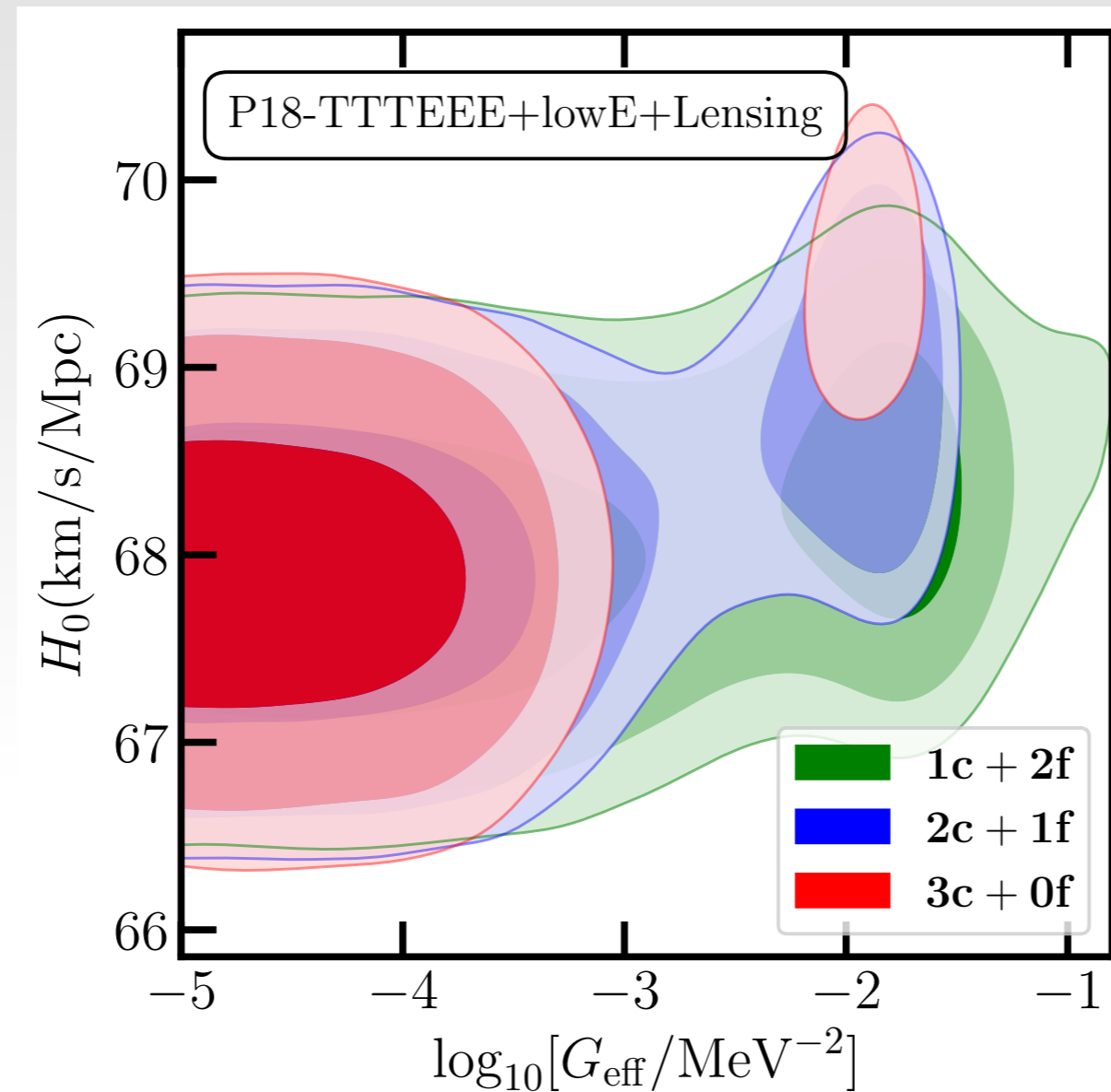
$$D_A^* = \int_0^{z^*} \frac{1}{H(z)} dz$$

$$r_s^* = \int_{z^*}^{\infty} \frac{c_s(z)}{H(z)} dz$$

$$R_\nu = R_\nu^{\Lambda\text{CDM}} \times \begin{cases} 0, & \text{for } 3c + 0f \\ \frac{1}{3}, & \text{for } 2c + 1f \\ \frac{2}{3}, & \text{for } 1c + 2f \end{cases}$$

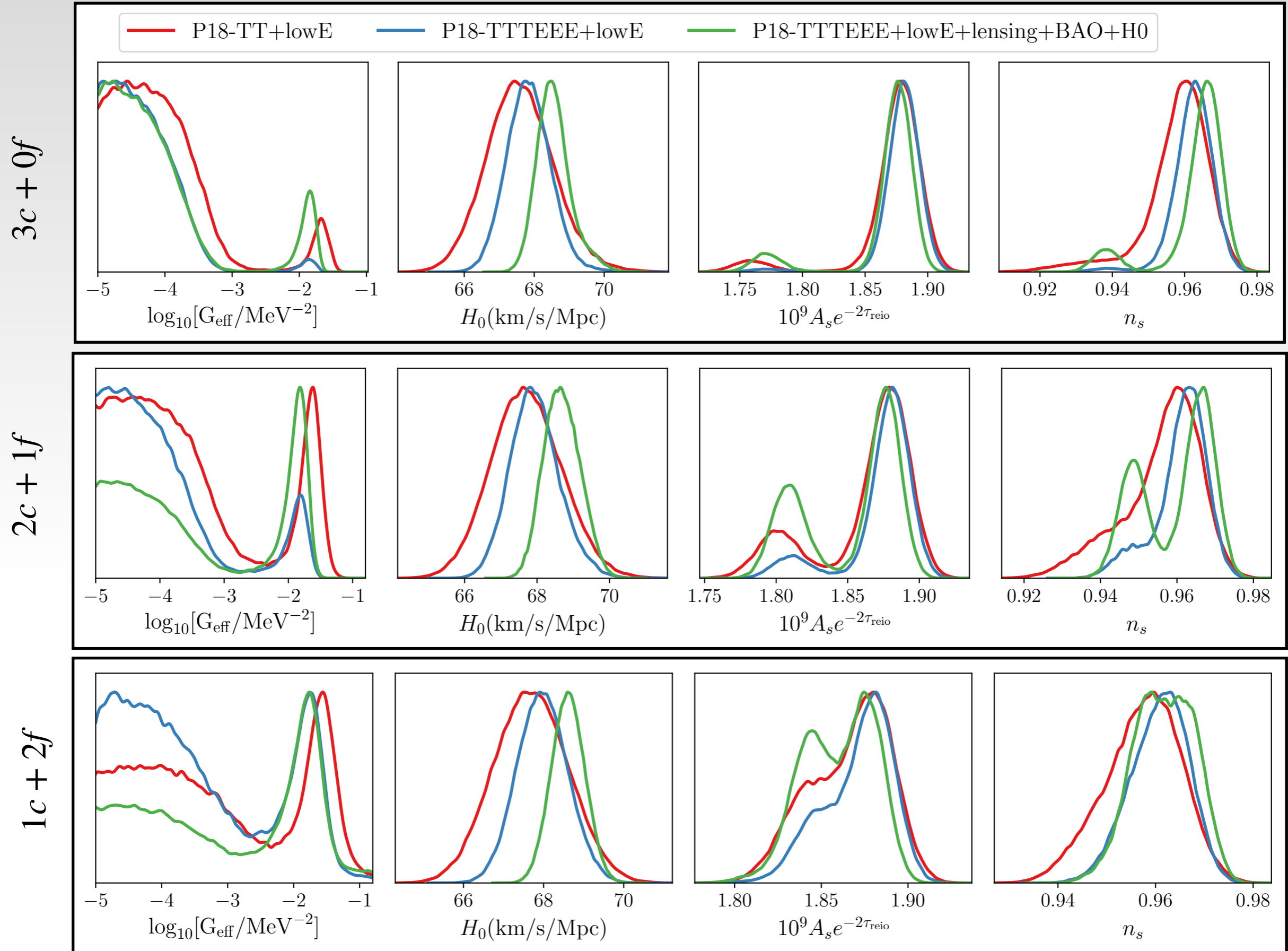
Change in  $\phi_\nu$  is compensated (mostly) by change  
 $D_A^*$  — through change in  $\Omega_\Lambda$  and  $H_0$

# Effect on $H_0$ : Phase shift



\*Even when  $N_{\text{eff}}$  is varied in  $1c + 2f$  scenario  $H_0$  does not increase substantially

# Constraints with other dataset



# Conclusion

- Flavor specific neutrino self interaction is phenomenologically motivated
  - takes into account laboratory constraints
- The significance of the SI mode is increased dramatically
  - similar in  $\chi^2$  to  $\Lambda$ CDM fit
- The position of the SI mode peak in Flavor specific interaction remains almost the same in Flavor universal case
- However, does not predict a larger  $H_0$  than flavor universal case

Flavor specific neutrino self interaction can provide similar (in some case better) fit to the CMB (& LSS) data

Cosmology favors Flavor specific neutrino self interaction