

Flavourful vector FIPs for $B \rightarrow K$ and $(g - 2)_\mu$ anomalies

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INFN – LNF

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Based on 2002.11150 and 2106.xxxxx with M. Fedele, K. Kowalska and E. Sessolo

Why always the muons ...

- Experimental anomalies in muon-related observables have been gaining traction in recent months

Flavour-violation in $B \rightarrow K^{(*)}$ (mostly LHCb)

- Form a consistent picture in WET
- Focus in this talk on the $b \rightarrow s$ signatures

$$R_K = \frac{\text{BR}(B^+ \rightarrow K^+ \mu^+ \mu^-)}{\text{BR}(B^+ \rightarrow K^+ e^+ e^-)} = 0.846^{+0.042}_{-0.039} \text{ (stat)}^{+0.013}_{-0.012} \text{ (syst)}$$

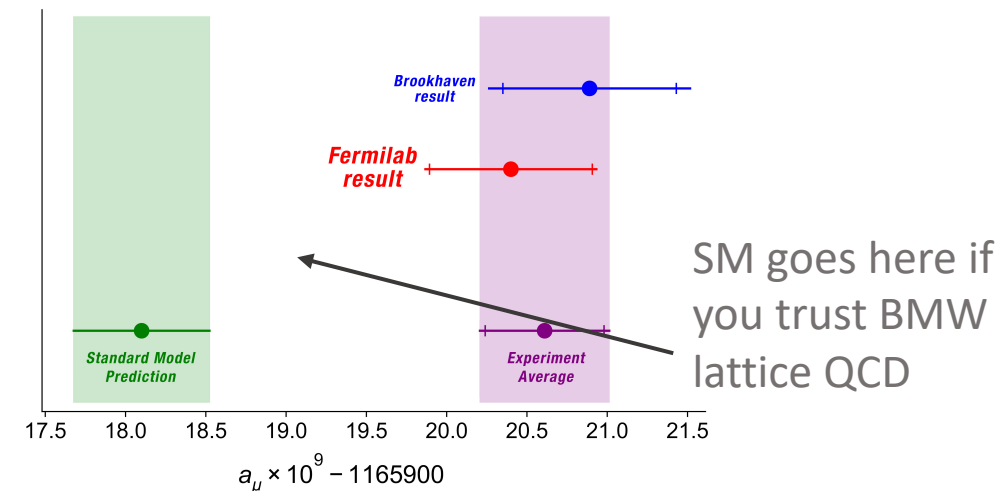
And many other observables: R_{K^*} ,
Angular obs., etc...

LHCb 9 fb⁻¹
1.1 < q² < 6.0 GeV²/c⁴
[LHCb-PAPER-2021-004]

- Both are “low energy precision observables”

→ A great many models with heavy new particles, in this this talk we **try to find a common “low scale” NP explanation**

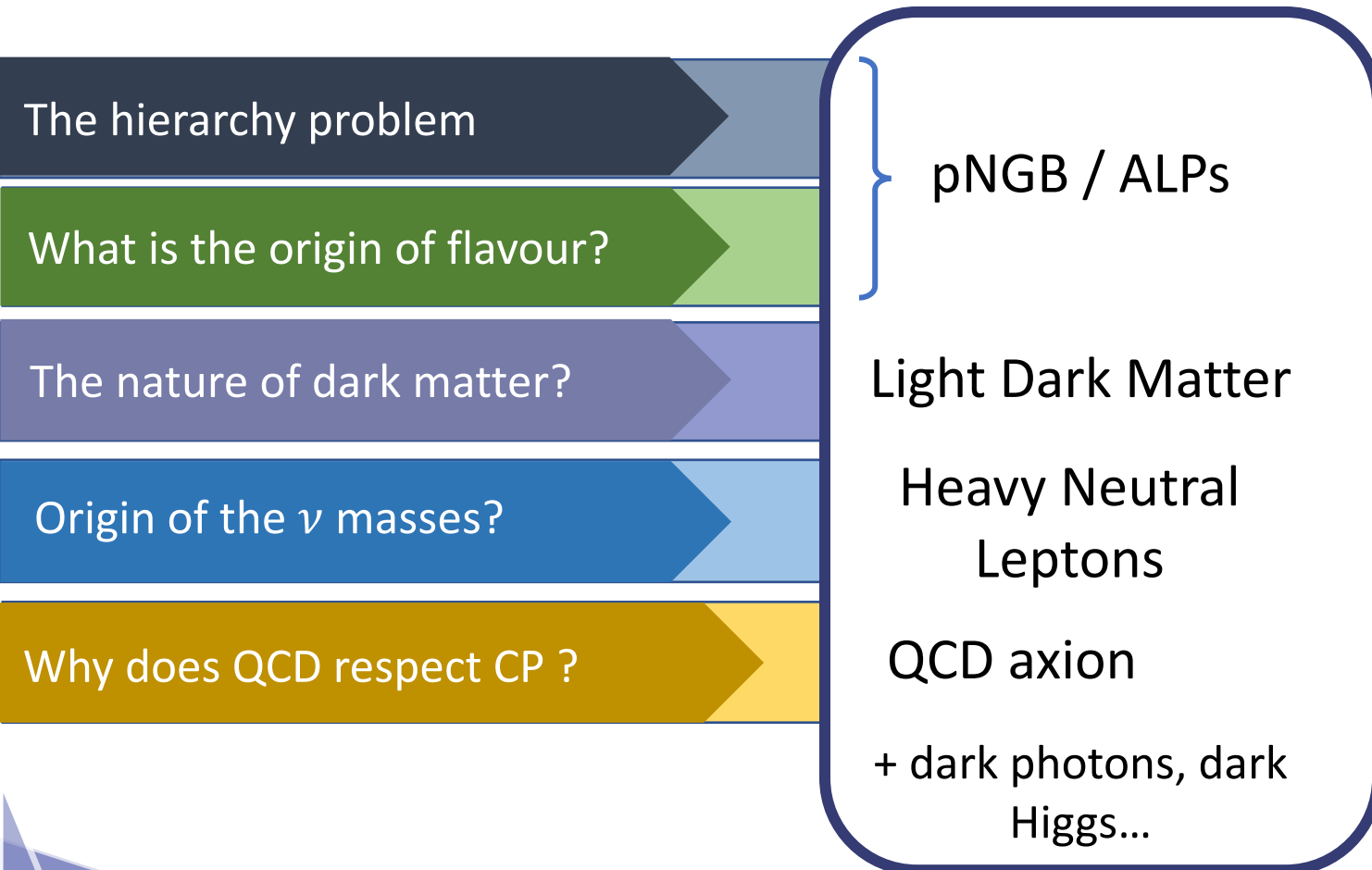
Unexpectedly large $(g - 2)_\mu$ w.r.t data-driven theory estimates



Feebly-Interacting Particles

- FIPs= “new neutral particle which interact with the SM via suppressed new interactions”

→ Appear in many NP solution to the SM challenges



- In many cases, flavourful interactions are possible and even expected
 - pNGB from flavour sym.
 - HNL and dark Higgs, etc...

In this talk we focus also on MeV to tens of GeV scale

Dark EFT approach \rightarrow DEFT

- Goal: fitting the anomalies with the “tree-level” exchange of a light mediator
- Provide additionally solution to $(g - 2)_\mu$
- Inputs from WET global fits: **we want a negative interference with SM in $\bar{s}\gamma^\mu P_L b$**
- We construct an EFT description of SM (cf. SM+X, Portal EFT, etc ...), for this talk we pick:

The anomalies as a true “low scale” effect

Couplings to muons

Use spin-1 FIP, V , with $\bar{s}\gamma^\mu P_L b$

Pospelov, Dror, Lasenby Arina, Hajer , Klose and many others

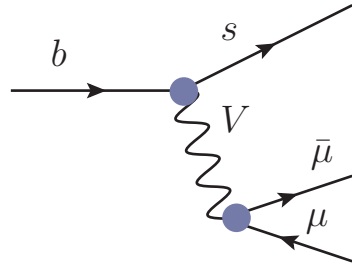
“4 4” model	$Q_4^{bsV} = (\bar{s}\gamma_\rho P_L b) V^\rho,$	$Q_4^{\mu\mu V} = (\bar{\mu}\gamma_\rho \mu) V^\rho,$	$\tilde{Q}_4^{\mu\mu V} = (\bar{\mu}\gamma_\rho \gamma^5 \mu) V^\rho,$
“6 4” model	$Q_6^{bsV} = (\bar{s}\gamma_\rho P_L b) \partial_\sigma V^{\rho\sigma}$	$Q_4^{\mu\mu V} = (\bar{\mu}\gamma_\rho \mu) V^\rho,$	$\tilde{Q}_4^{\mu\mu V} = (\bar{\mu}\gamma_\rho \gamma^5 \mu) V^\rho,$

There are of course many other operators...

Fitting the anomalies

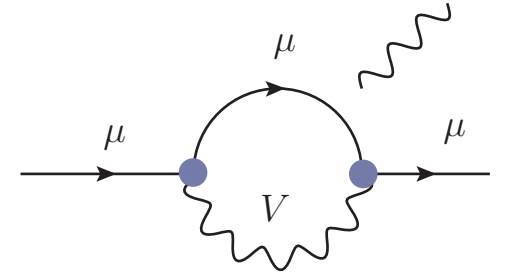
- As a simple scaling, the anomalies require

$B \rightarrow K$ anomalies



$$C_{4+\delta_1}^{bsV} C_{4+\delta_2}^{\mu\mu V} \left(\frac{q}{\Lambda}\right)^{\delta_1+\delta_2} \approx 10^{-9}$$

$(g - 2)_\mu$ anomalies



Around the GeV

$$\sqrt{(C_4^{\mu\mu V})^2 - 5(\tilde{C}_4^{\mu\mu V})^2} \sim 0.05 \left(\frac{1 \text{ GeV}}{m_V}\right)^2$$

- In details though: explicit momentum dependence of the $bs\mu\mu$ vertex

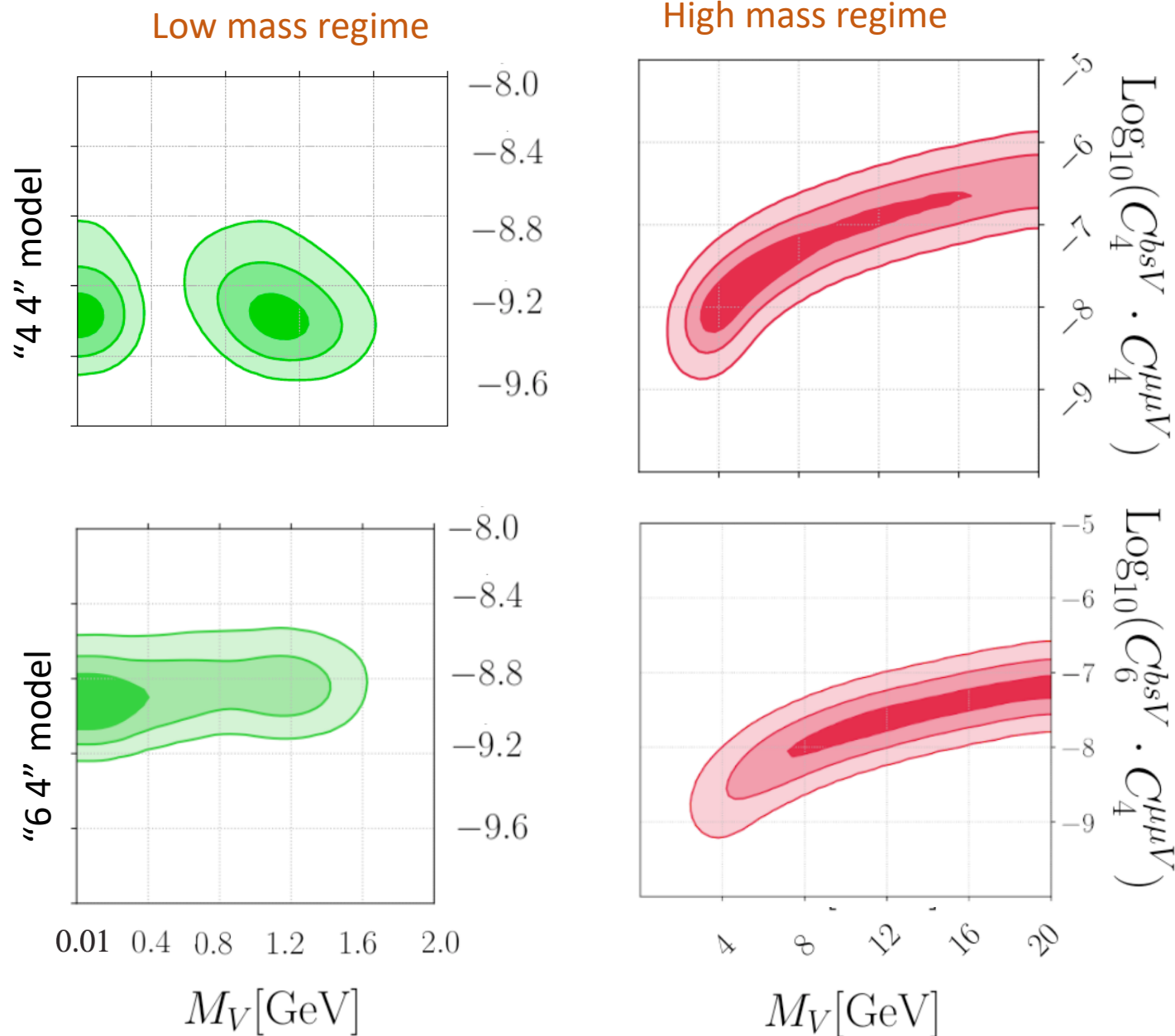
$$C_9 = \frac{4\pi\mathcal{N}}{\alpha_{\text{em}}} \frac{(C_4^{bsV} - \frac{q^2}{\Lambda^2} C_6^{bsV})(C_4^{\mu\mu V} - \frac{q^2}{\Lambda^2} C_6^{\mu\mu V})}{q^2 - M_V^2 + i\Gamma_V M_V}$$

We assume that V has an invisible decay width
 \rightarrow left as free parameter

- Since we have q^2 -dependent observables complete fit needed
 \rightarrow Dependence on the width important for M_V in the GeV range

Fitting the anomalies

- We implemented the model in HEPfit to account for the q^2 , tested various combinations
 - Included LFUV ratios R_K, R_{K^*} and the angular observables in $B \rightarrow K^* \mu \mu$
 - Significant differences between C_4 and C_6 case (q^2 dependence)
- From fit point of view, both “low” and “high” masses are achievable
 - Resonance + width effects are important!



The troubles with non-conserved currents...

- The interaction between vector FIP and SM can be represented via a “current”

$$\mathcal{L}_{\text{int}} \supset V_\mu \mathcal{J}_V^\mu$$



It does not corresponds a priori to a SM global symmetry

- Non-conserved SM currents leads to strong signatures, particularly at small vector masses

Pospelov, Dror, Lasenby

→ Most processes scale as $\frac{E^2}{M_V^2}$, since any on-shell vector leads to as $M^\mu \sim \frac{q^\mu}{M_V}$

- We have

→ Tree-level flavour violation, both critical to the anomalies and very strongly constrained

- B_s -mixing, $B_s \rightarrow \mu\mu$
- $B \rightarrow K^{(*)}V$ on-shell processes, with subsequent visible/invisible V decay

→ Weak-isospin violation (no coupling to neutrinos)

- Strong flavour-dependent modification of W decay rates

→ Axial-coupling interaction to the SM fermions

The GeV-FIP windows “6-4”

$$Q_6^{bsV} = (\bar{s}\gamma_\rho P_L b) \partial_\sigma V^{\rho\sigma}$$

$$Q_4^{\mu\mu V} = (\bar{\mu}\gamma_\rho \mu) V^\rho,$$

- Low masses very constrained

- Green points show fit $B \rightarrow K^{(*)}$ observables at 2σ (including invisible decays)

- Several other subdominant low mass constraints not shown

- Combined with W decays **rules out the low mass region**

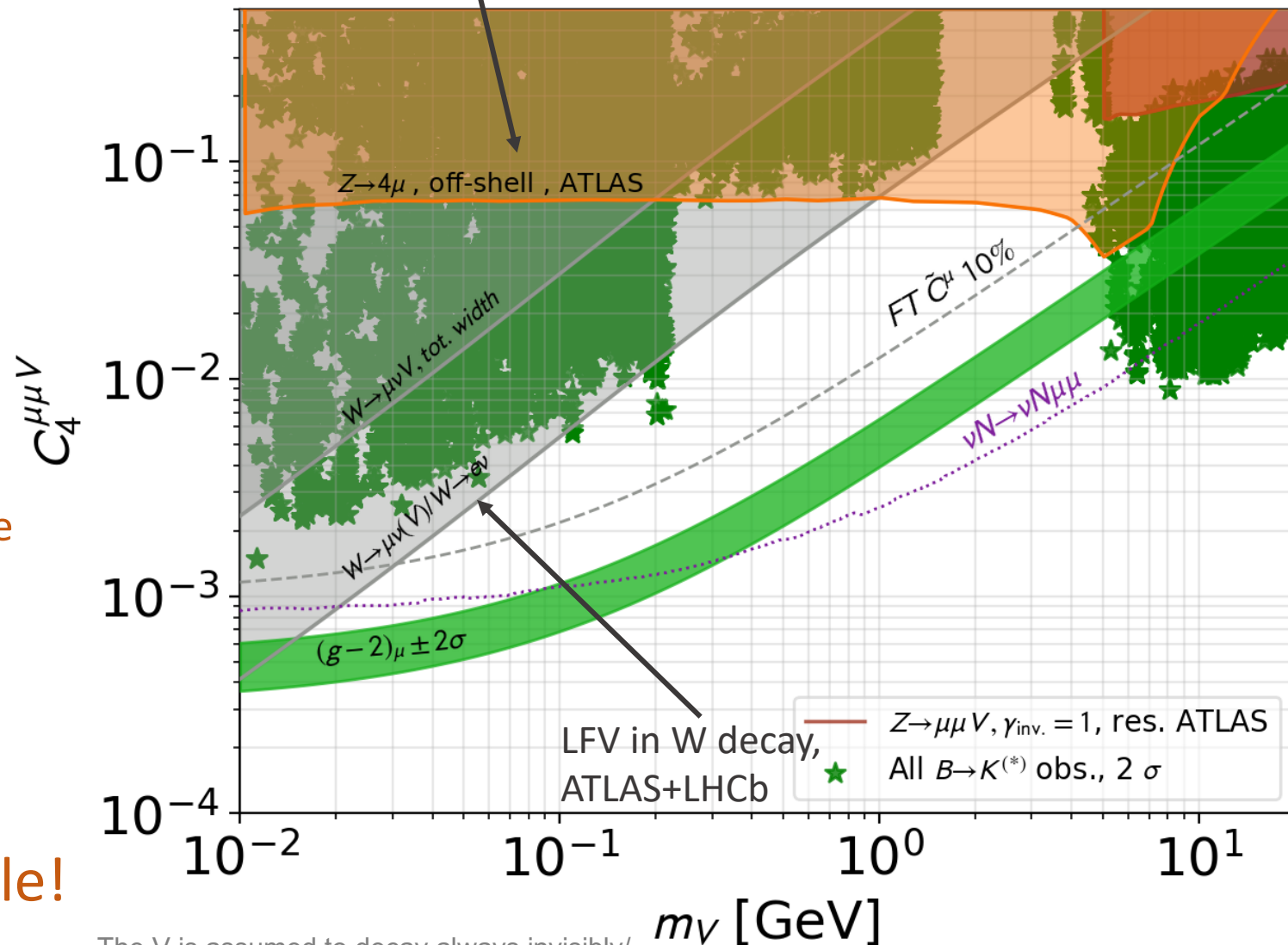
- Above the B mass, large open parameter space

- Similar effect for a “4-4” model

→ **LHC searches play a critical role!**

Multi-leptons search, ATLAS
2103.01918

PRELIMINARY 2006.xxxxx -- LD, M. Fedele, K. Kowalska, E. Sessolo



The V is assumed to decay always invisibly/
remains stable below the dimuon threshold

An (partial) UV realisation

- Aim: realise an effective bsV vertex via a loop of heavy scalar/light dark fermion
 - Log-enhancement of the loop from scale mismatched

$$\tilde{g} = -\frac{g_D Q_\Phi}{16\pi^2 m_\Phi^2} \sum_i y_s^{i*} y_b^i \mathcal{F}(x_i)$$

- The mediator is the gauge boson of a dark U(1), after SSB in the dark sector

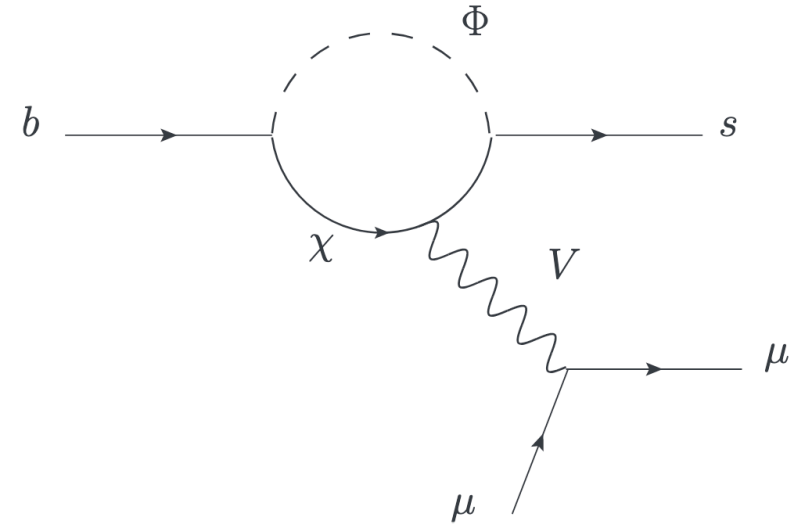
$$\mathcal{L} \supset y_{s(b)} \phi^* \bar{\chi} P_L s(b) + \text{H.c.}$$

$$\Phi : (\mathbf{3}, \mathbf{2}, 1/6, Q_\Phi) \rightarrow \text{Colored "squark"}$$

$$\chi : (\mathbf{1}, \mathbf{1}, 0, -Q_\Phi) \rightarrow \text{U(1)-charged Dirac dark fermion}$$

$$\mathcal{L} \supset (g_\mu^V \bar{\mu} \gamma_\nu \mu + g_\mu^A \bar{\mu} \gamma_\nu \gamma_5 \mu) V^\nu$$

- Generating the tree-level muon-coupling in a non-anomalous fashion requires additional model building



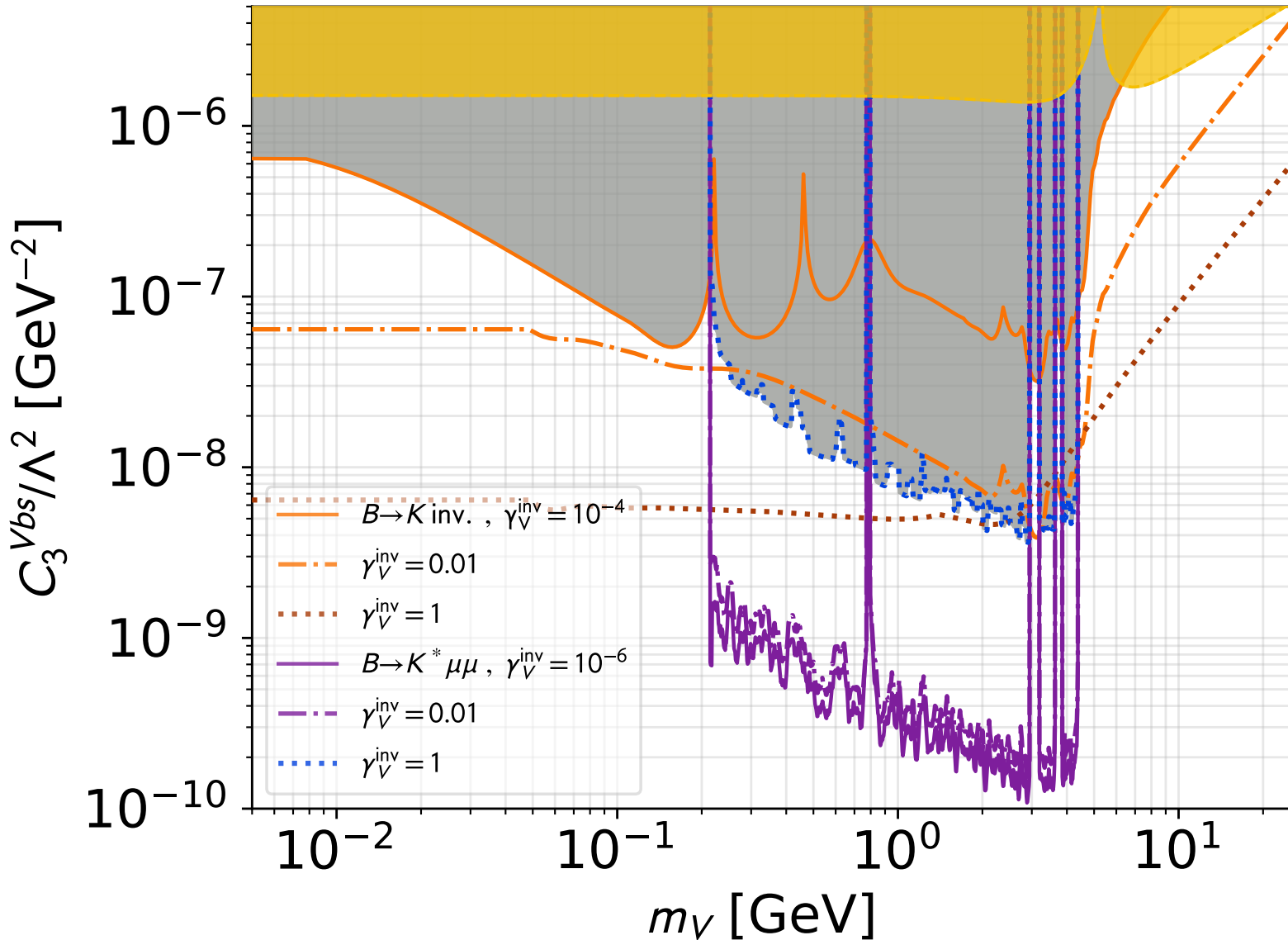
Conclusion

- Flavoured FIPs have been long used to fit various “precision anomalies”
- We have constructed an dark “EFT” approach to test the compatibility between MeV to GeV FIP with
 - Flavoured $B \rightarrow K$ anomalies
 - $(g - 2)_\mu$ experimental results
 - All relevant precision physics constraints, both in flavourful and flavour-blind analyses
- The low mass regime is not-favoured by anomaly fits+constraints
- The GeV FIP windows turns out to be particularly interesting
 - Simultaneous fit possible to both anomalies without tuning
- LHC searches are relevant for this region → exciting experimental targets for Run-3 and HL-LHC

Backup slides

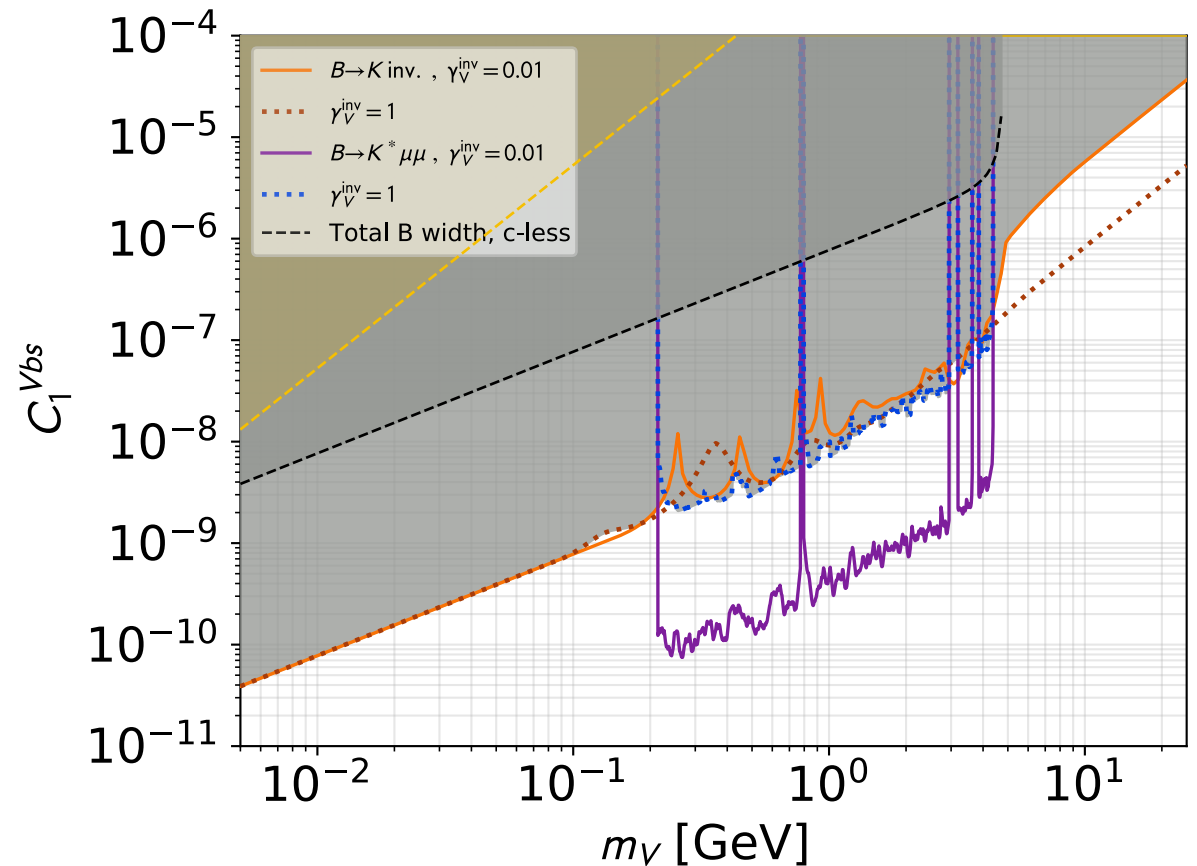
B → K limits in “4 6” model

- Strongest constraints are from “visible” decays
 - large invisible width for V is typically required
- Invisible limits from $B \rightarrow K \nu\nu$ can be recasted
 - Care must be taken since different kinematics
 - “Off-shell” component dominates at low masses



B \rightarrow K limits in “4 4” model

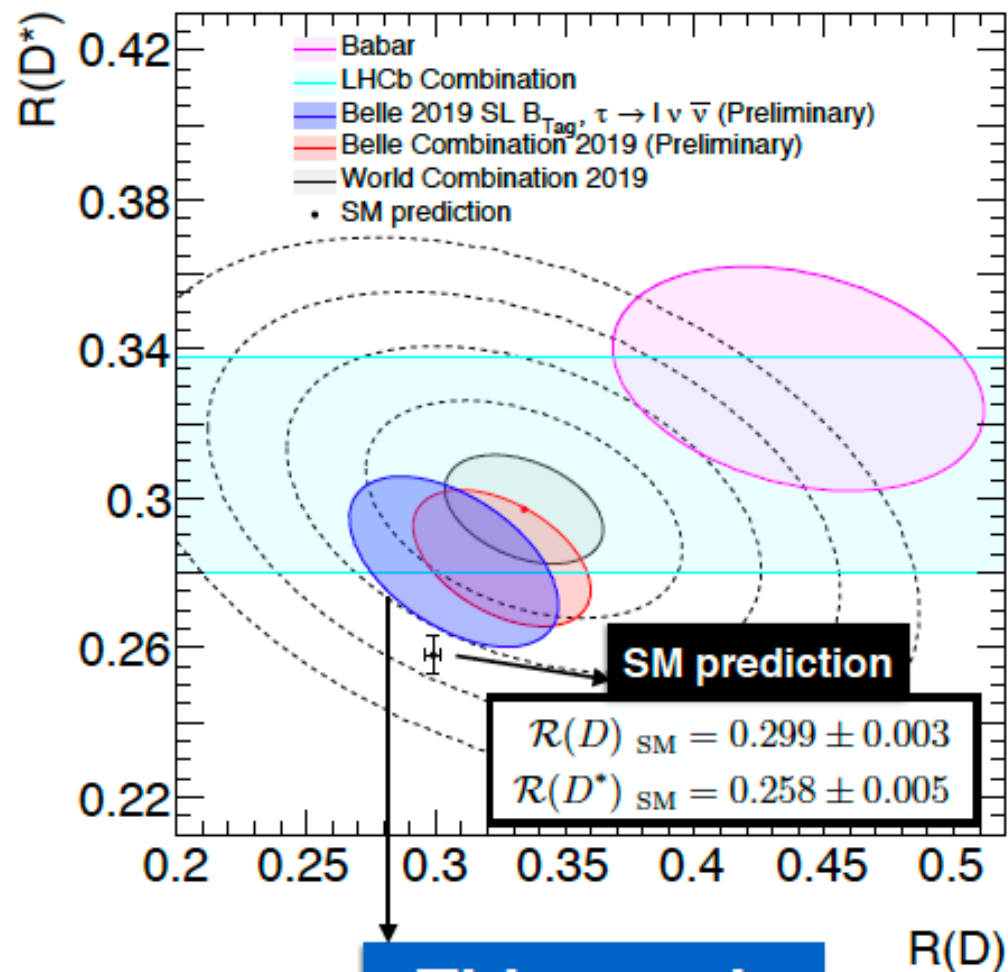
- Strongest constraints are from “visible” decays
 - \rightarrow large invisible width for V is typically required
- No suppression of the on-shell decay $B \rightarrow K^{(*)} V$ leads to very strong constraints at small V masses



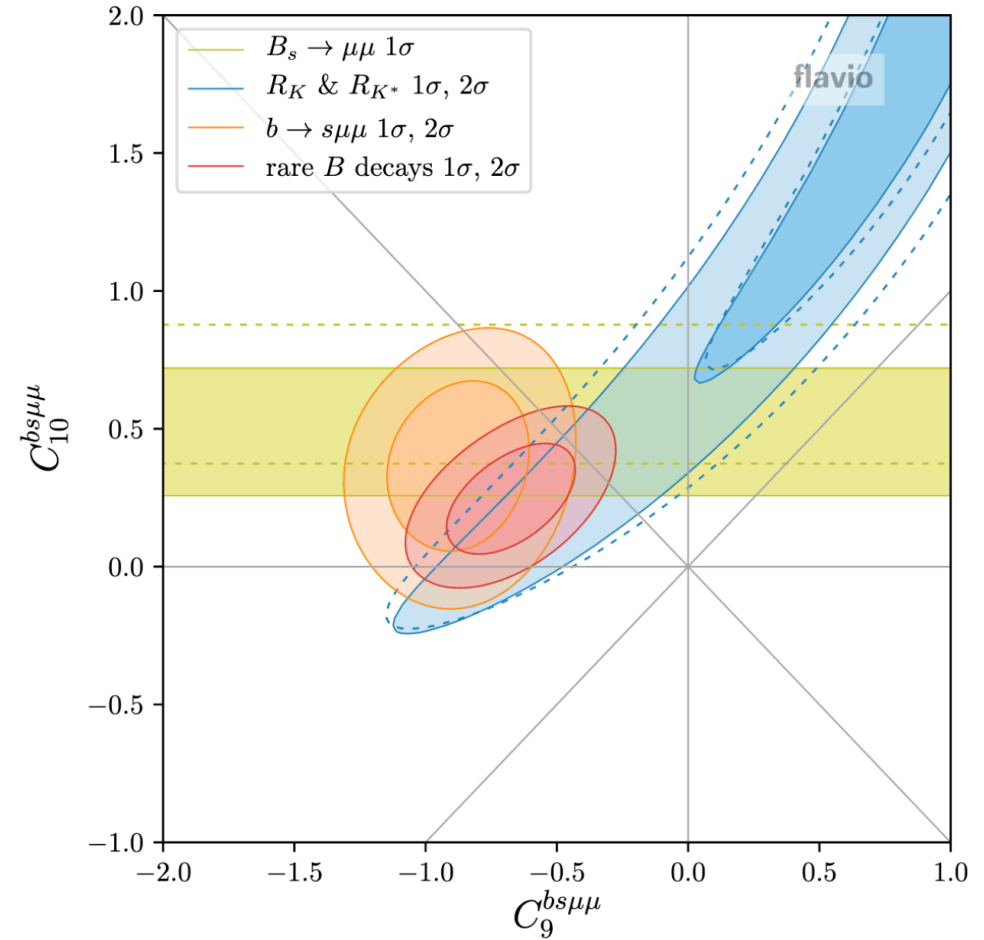
Current status B-anomalies

1. Updated Belle measurement of R_{K^*} Talk by M. Prim

$$R_{K^*} = \frac{\text{BR}(B \rightarrow K^* \mu\mu)}{\text{BR}(B \rightarrow K^* ee)} = \begin{cases} 0.90^{+0.27}_{-0.21} \pm 0.10, & \text{for } 0.1 \text{ GeV}^2 < q^2 < 8 \text{ GeV}^2 \\ 1.18^{+0.52}_{-0.32} \pm 0.10, & \text{for } 15 \text{ GeV}^2 < q^2 < 19 \text{ GeV}^2 \end{cases}$$



Altmannshofer, Stangl, 2103.13370



2. Updated LHCb measurement of R_K Talk by T. Humair

$$R_K = \frac{\text{BR}(B \rightarrow K\mu\mu)}{\text{BR}(B \rightarrow Kee)} = 0.846^{+0.060}_{-0.054} {}^{+0.016}_{-0.014},$$

LHCb 5 fb⁻¹
1.1 < q² < 6.0 GeV²/c⁴
[PRL122191801]

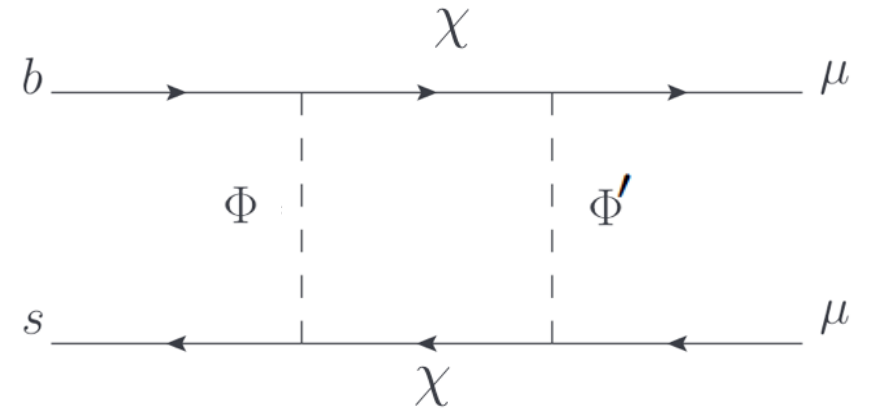
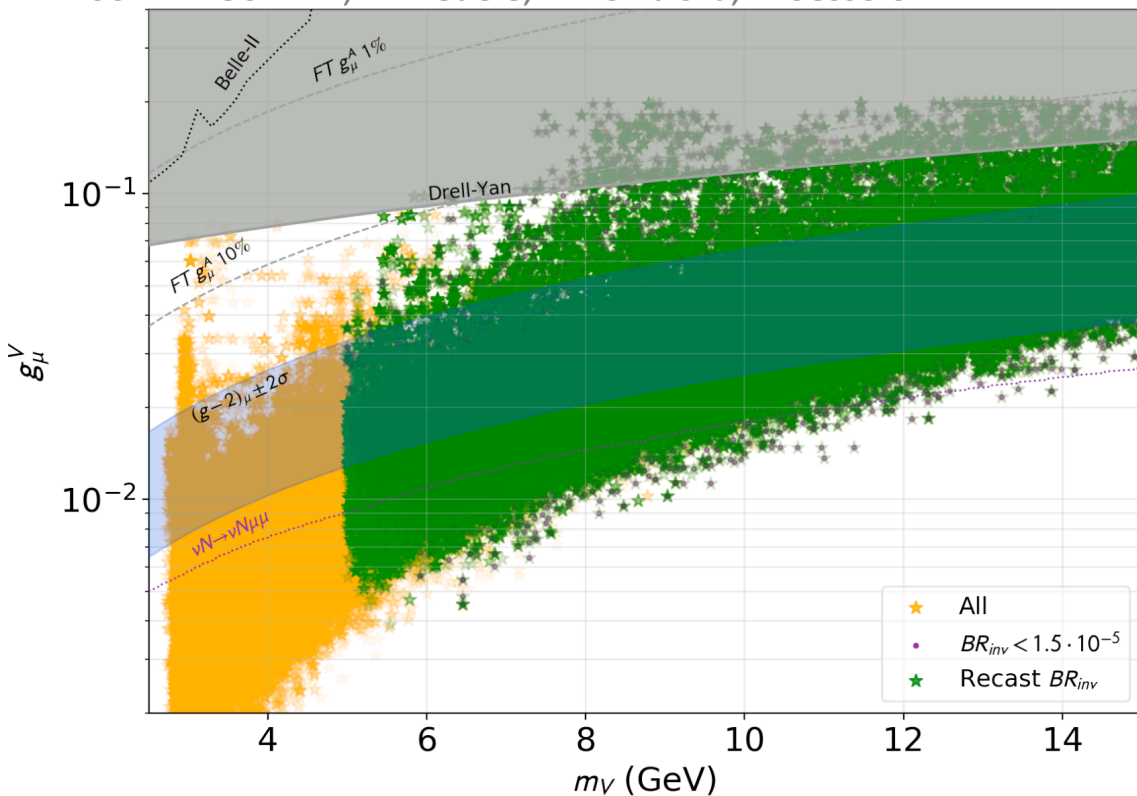
$$R_K = 0.846^{+0.042}_{-0.039} \text{ (stat)} {}^{+0.013}_{-0.012} \text{ (syst)}$$

LHCb 9 fb⁻¹
1.1 < q² < 6.0 GeV²/c⁴
[LHCb-PAPER-2021-004]

Flavour physics and split dark sectors

- Loop-based models of flavour anomalies can feature light particles
- Box diagram based (e.g. with (colored) scalar doublets and light fermions)

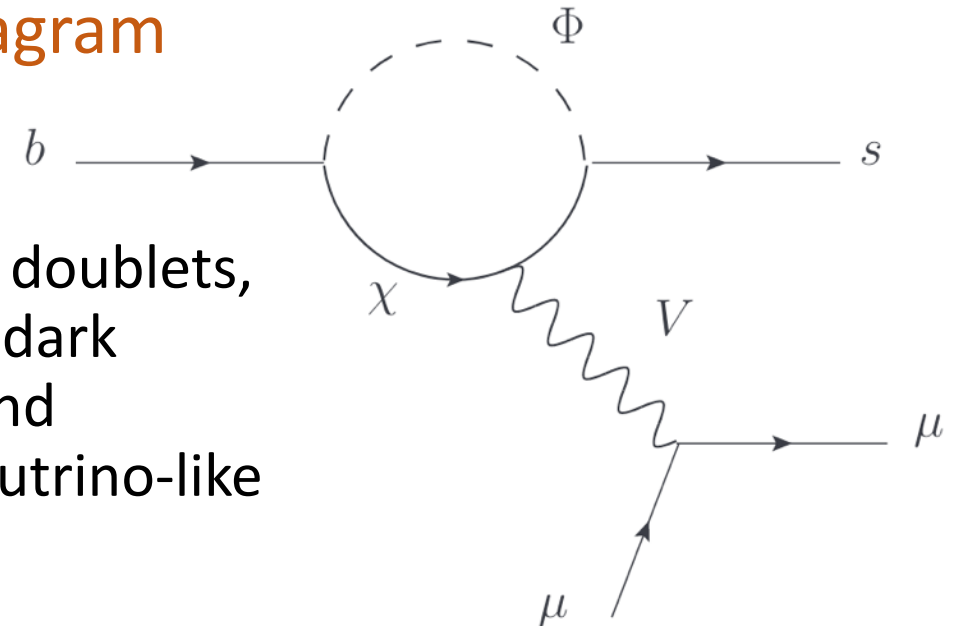
2002.11150 -- LD, M. Fedele, K. Kowalska, E. Sessolo



See e.g. Arnan, Crivellin, Fedele, Mescia (2019)

• Penguin diagram based

- E.g with a colored doublets, plus new dark photon and sterile neutrino-like fermion



See e.g. LD, Fedele, Kowalska, Sessolo (2020)

Feebly-Interaction Particles and portals

- FIPs= “new (quasi-) neutral particle which interact with the SM via suppressed new interactions” → assumed light (MeV to few GeVs)
- Appear in various NP models aiming at dark matter, neutrino masses, strong CP problem, flavour etc ...

	SM operator	FIPs / dark sector	examples ...
Scalar portal	$ H ^2$ ($d = 2$),	\longleftrightarrow $ S ^2$	Dark Higgs
Vector portal	$F_{\mu\nu}$ ($d = 2$),	\longleftrightarrow $F'^{\mu\nu}$	Dark photon
Neutrino portal	LH ($d = 5/2$)	\longleftrightarrow N	Sterile neutrino/HNL
Axion portal / fermion portal	$\bar{f}_i \Gamma^\mu f_j$ ($d = 3$)	$\begin{matrix} \nearrow \partial_\mu a \\ \searrow \Psi \Gamma_\mu \Psi \end{matrix}$	Axion/ALP Dark fermions