

LEPTON FLAVOR UNIVERSALITY IN $\Upsilon(3S)$ DECAYS TO TAU LEPTONS AND MUONS WITH *BABAR*

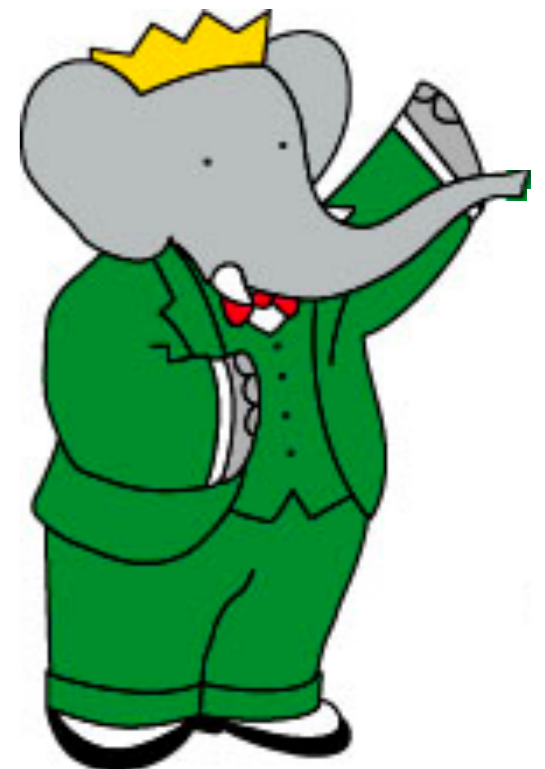
Based on Lees et al., PRL 125, 241801 (2020)

Brian Shuve

on behalf of *BABAR* Collaboration



May 24, 2021
PHENO 2021



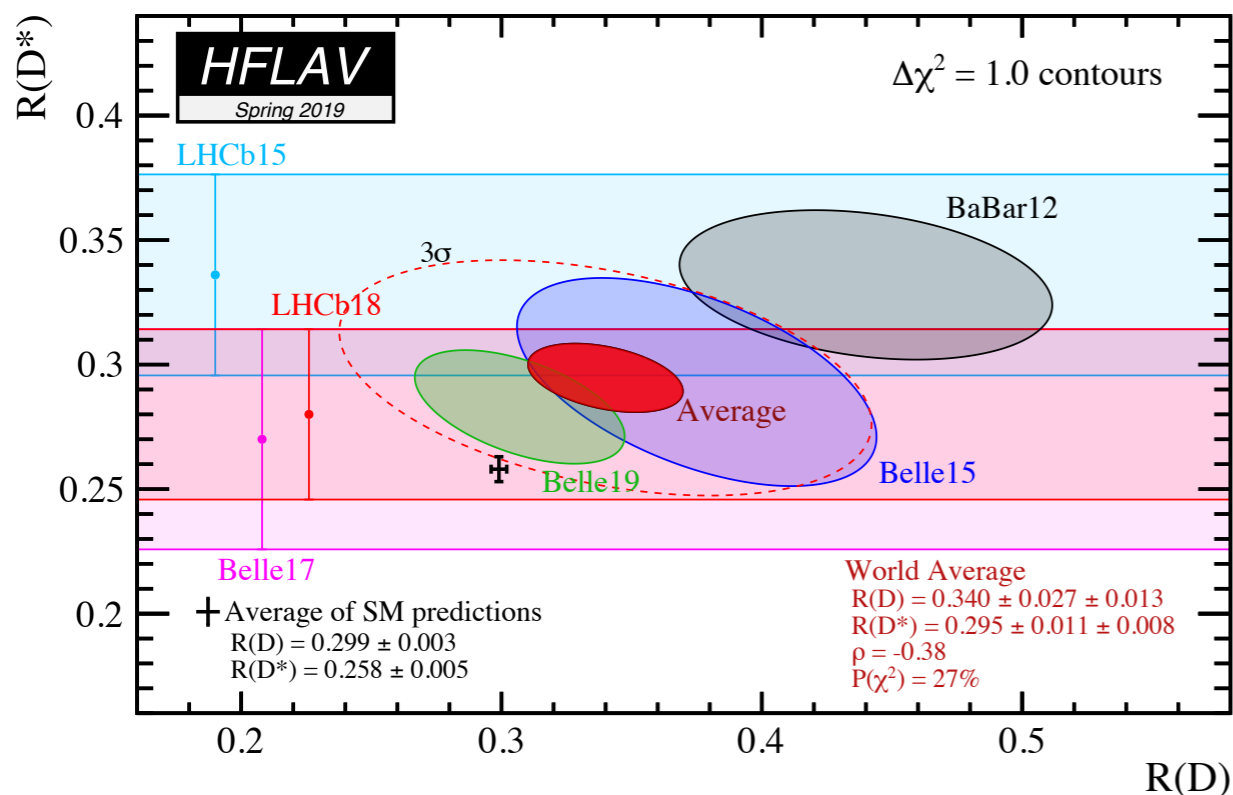
TESTS OF LEPTON FLAVOR UNIVERSALITY

- Recent hints of possible violation of lepton flavor universality in B meson decays

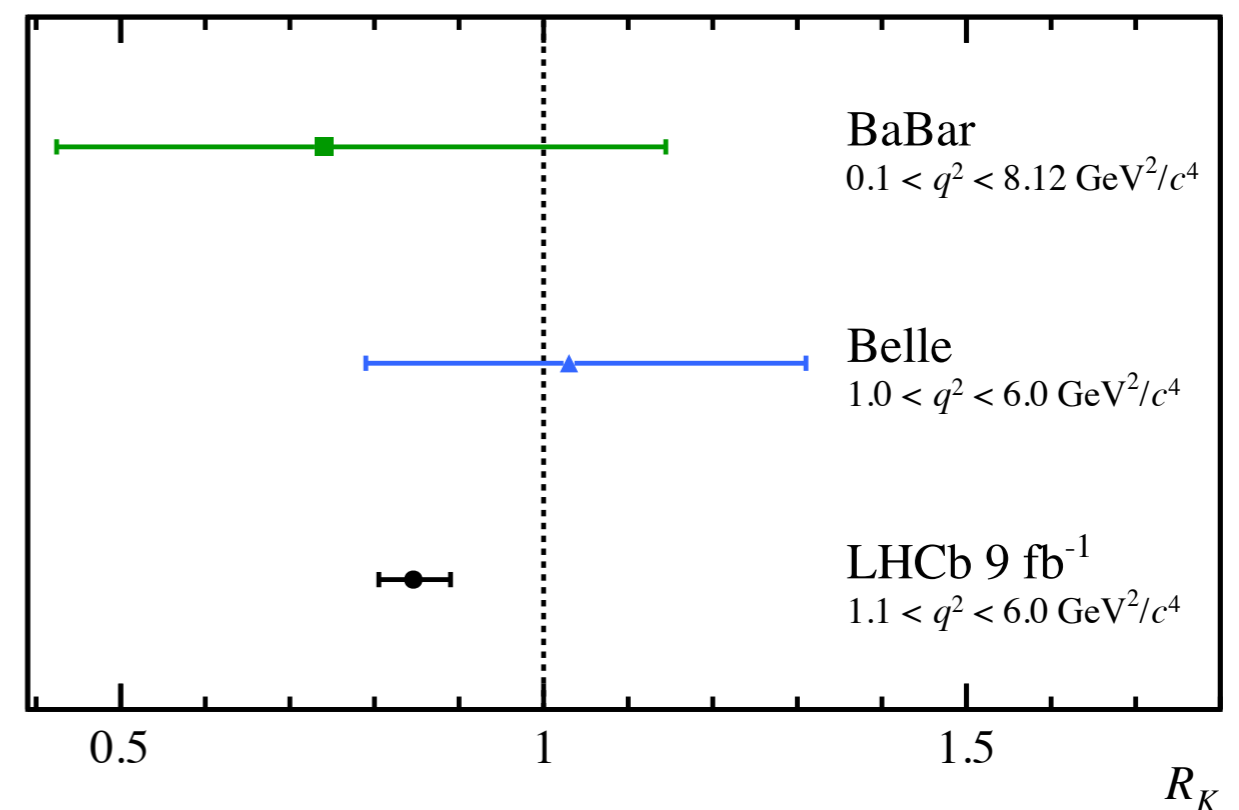
$$\mathcal{R}(D^{(*)}) = \frac{\text{BF}(B \rightarrow D^{(*)} \tau \nu)}{\text{BF}(B \rightarrow D^{(*)} \ell \nu)}$$

$$\mathcal{R}(K^{(*)}) = \frac{\text{BF}(B \rightarrow K^{(*)} \mu^+ \mu^-)}{\text{BF}(B \rightarrow K^{(*)} e^+ e^-)}$$

HFLAV, Eur. Phys. J. C 81, 226 (2021)



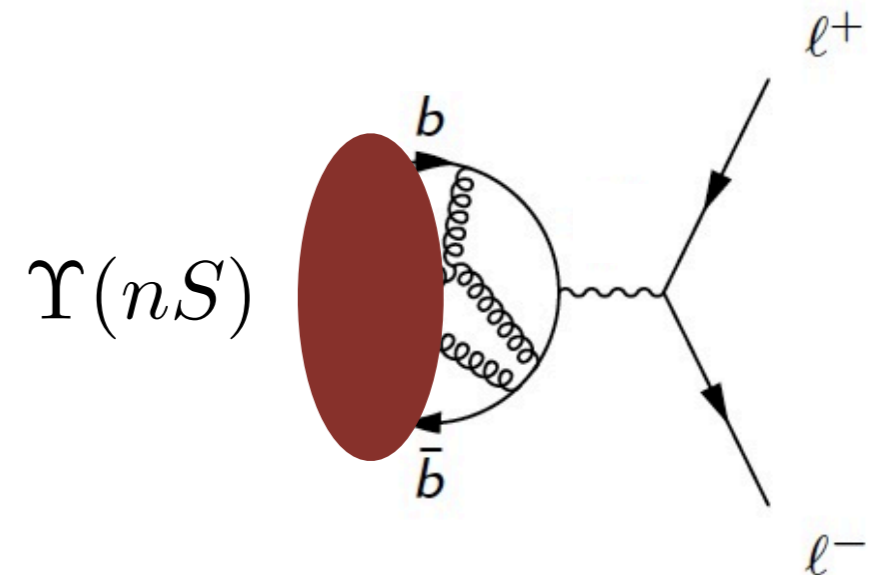
LHCb, arXiv:2103.11769



LEPTON UNIVERSALITY IN Υ DECAYS

- New physics contributions to charged-current semileptonic B decays can *also* contribute to neutral-current processes
- Deviations expected at 0.2%-4% level for models motivated by $\mathcal{R}(D^{(*)})$

Aloni *et al.*, JHEP 06, 019 (2017); García-Duque *et al.*, PRD 103, 073003 (2021)



- Hadronic uncertainties cancel in ratio:

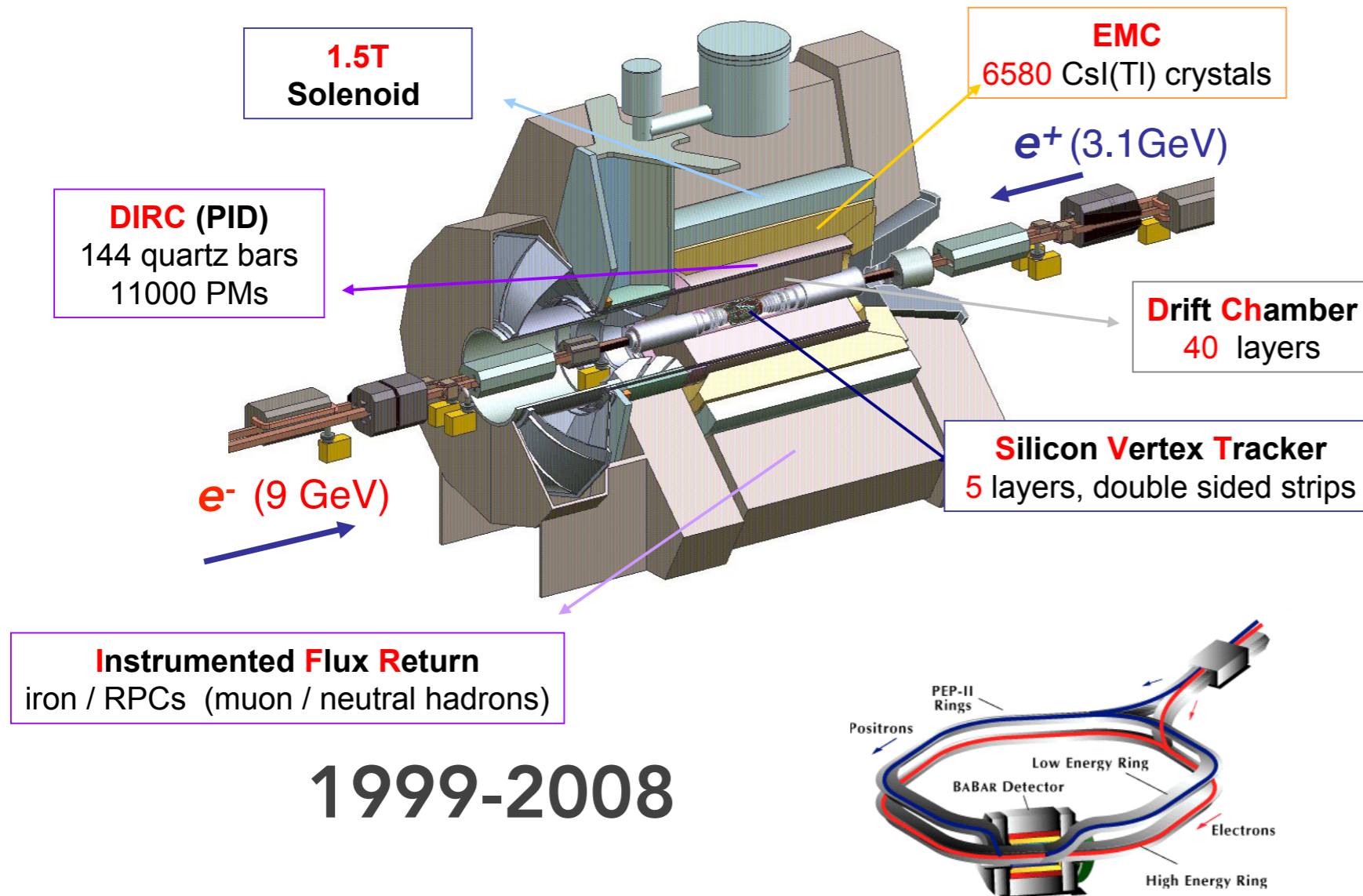
$$\mathcal{R}_{\tau\mu}^{\Upsilon(nS)} = \frac{\text{BF}(\Upsilon(nS) \rightarrow \tau^+ \tau^-)}{\text{BF}(\Upsilon(nS) \rightarrow \mu^+ \mu^-)}$$

$$\mathcal{R}_{\tau\mu}^{\Upsilon(1S)} = \begin{cases} \text{BABAR-10: } 1.005 \pm 0.013 \pm 0.022 \\ \text{SM: } 0.9924 \end{cases}$$

$$\mathcal{R}_{\tau\mu}^{\Upsilon(2S)} = \begin{cases} \text{CLEO-07: } 1.04 \pm 0.04 \pm 0.05 \\ \text{SM: } 0.9940 \end{cases}$$

this talk $\mathcal{R}_{\tau\mu}^{\Upsilon(3S)} = \begin{cases} \text{CLEO-07: } 1.05 \pm 0.08 \pm 0.05 \\ \text{SM: } 0.9948 \end{cases}$

BABAR EXPERIMENT



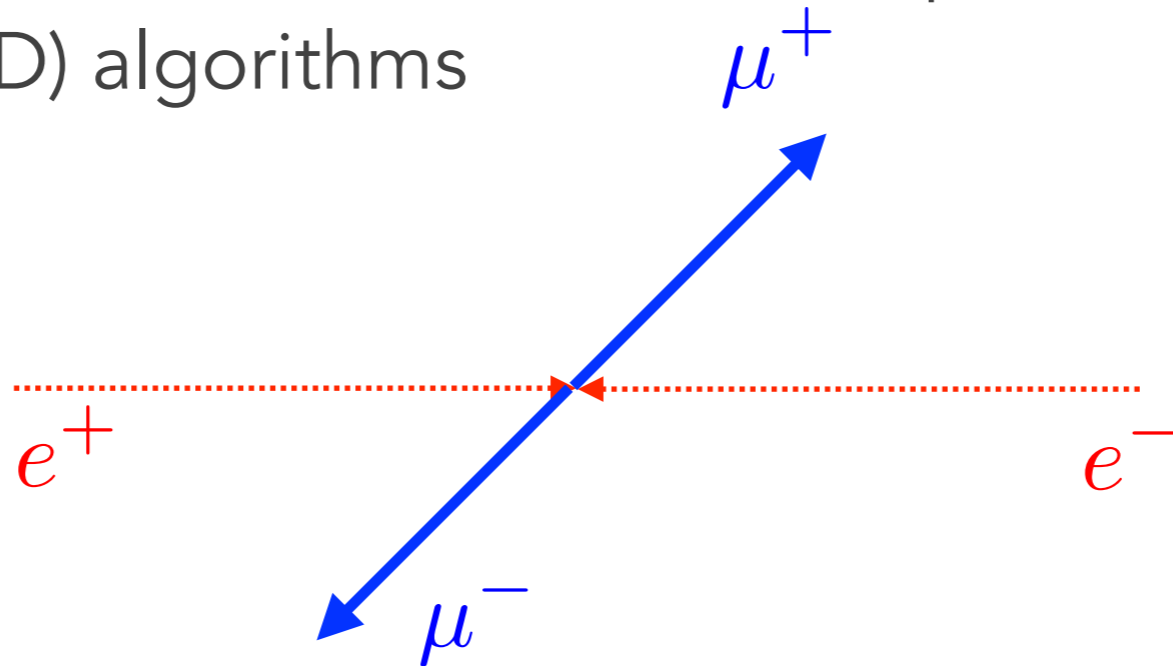
1999-2008

- 529/fb data collected at $\Upsilon(2S)/\Upsilon(3S)/\Upsilon(4S)$ and off-peak
- We use 27.96/fb at $\Upsilon(3S)$, 78.3/fb at $\Upsilon(4S)$, and 10.37/fb off-peak

- Blind analysis strategy: use 9% of $\Upsilon(3S)$ dataset as optimization sample used to determine analysis method, discard for final results

DIMUON SAMPLE

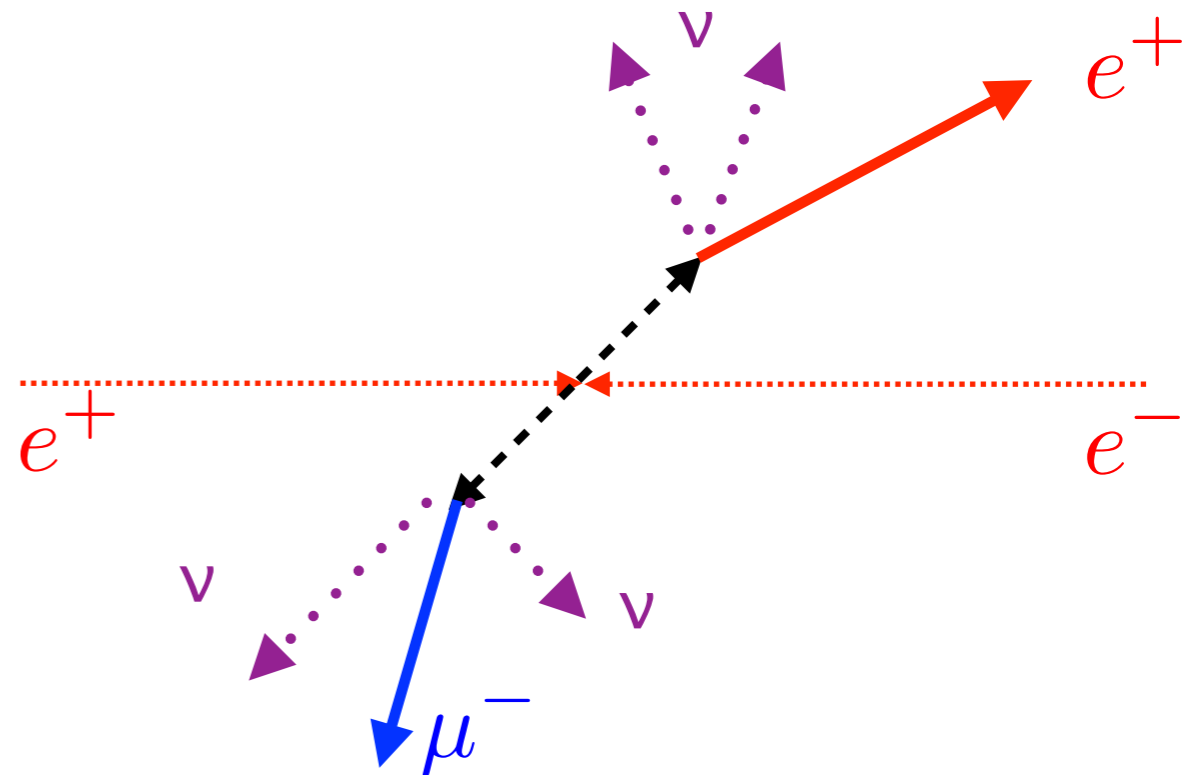
- Only 2 oppositely charged particles in the event, back-to-back ($< 20^\circ$) in center-of-mass (CM) frame
- Dimuon mass most of CM collision energy, $0.8 < M_{\mu\mu}/\sqrt{s} < 1.1$
- At least one track consistent with muon hypothesis using particle identification (PID) algorithms



- These selections are sufficient to obtain **99.9% purity**

DITAU SAMPLE

- Only 2 oppositely charged, roughly back-to-back in CM ($< 70^\circ$) particles in the event, large transverse momentum
- Tracks are acollinear in CM ($> 3^\circ$) and (electron+most energetic photon) must be acollinear with other track ($> 2^\circ$)
- One track passes electron PID, the other one fails electron PID
- Missing momentum within detector acceptance, missing mass exceeds 10% of CM energy, restrictions on total calo energy
- **Purity of 99%**



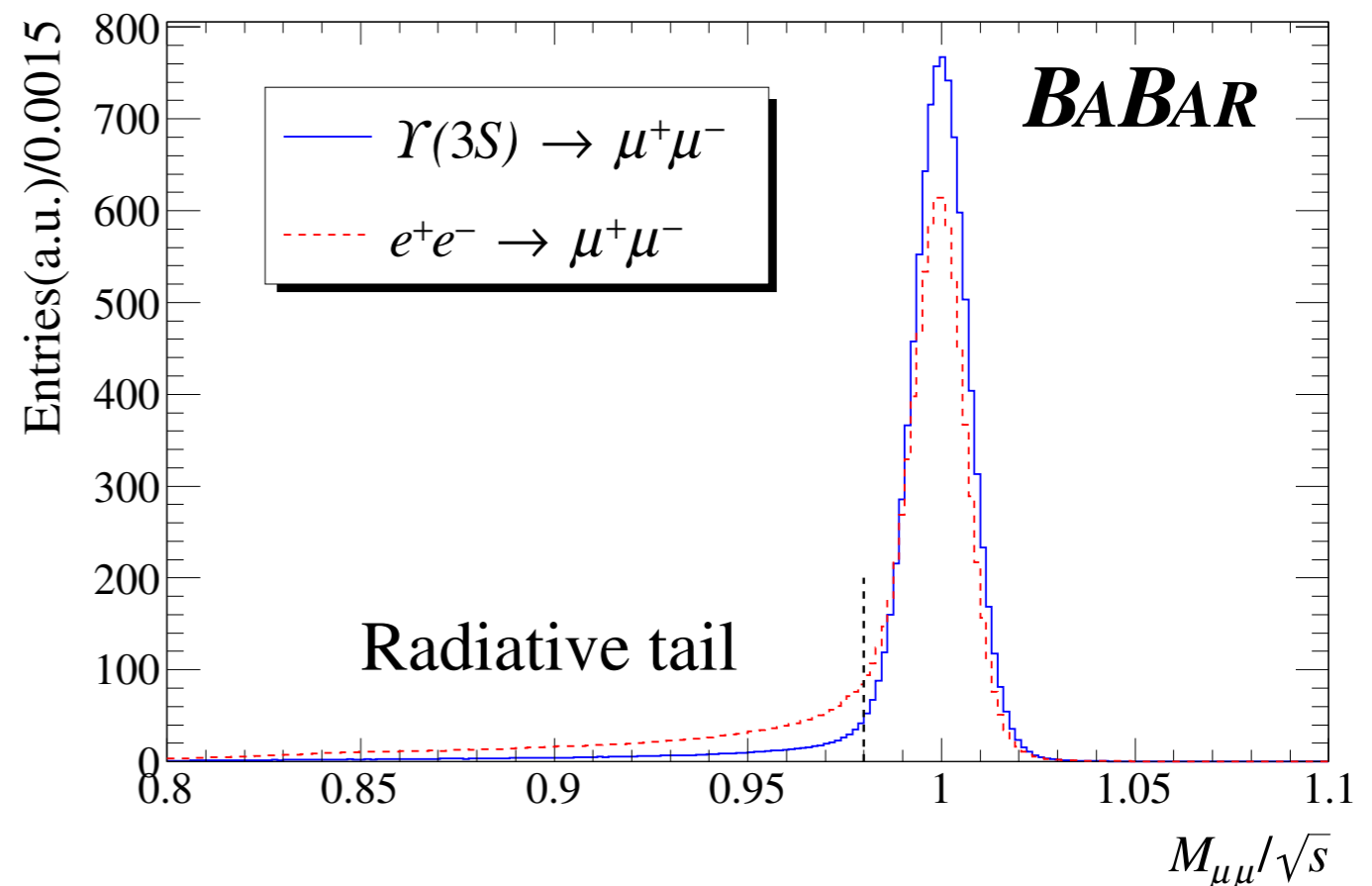
EFFICIENCY CORRECTIONS

- Off-peak samples in the vicinities of $\Upsilon(3S)$, $\Upsilon(4S)$ are used to determine relative efficiencies of muon/tau, and to derive data/MC corrections
- $N_{\tau\tau}/N_{\mu\mu} = 0.11665 \pm 0.0017$ at $\Upsilon(4S)$, 0.11647 ± 0.0029 at $\Upsilon(3S)$
- $N_{\tau\tau}/N_{\mu\mu}$ is independent of energy in both data and MC
- Data/MC ratios also independent of energy (from known continuum dilepton cross sections):

$$\frac{(\epsilon_{\tau\tau}/\epsilon_{\mu\mu})_{\text{data}}}{(\epsilon_{\tau\tau}/\epsilon_{\mu\mu})_{\text{MC}}} = 1.0146 \pm 0.0016$$

DISTINGUISHING CONTINUUM

- Need to distinguish $\Upsilon(3S) \rightarrow \ell^+ \ell^-$ from continuum $\ell^+ \ell^-$
- Continuum dilepton sample has more significant tail from ISR
- Radiative tail only visible in dimuon sample
- Fix relative muon/tau contribution in continuum and simultaneously fit both $M_{\mu\mu}/\sqrt{s}$ and $E_{\tau\tau}/\sqrt{s}$

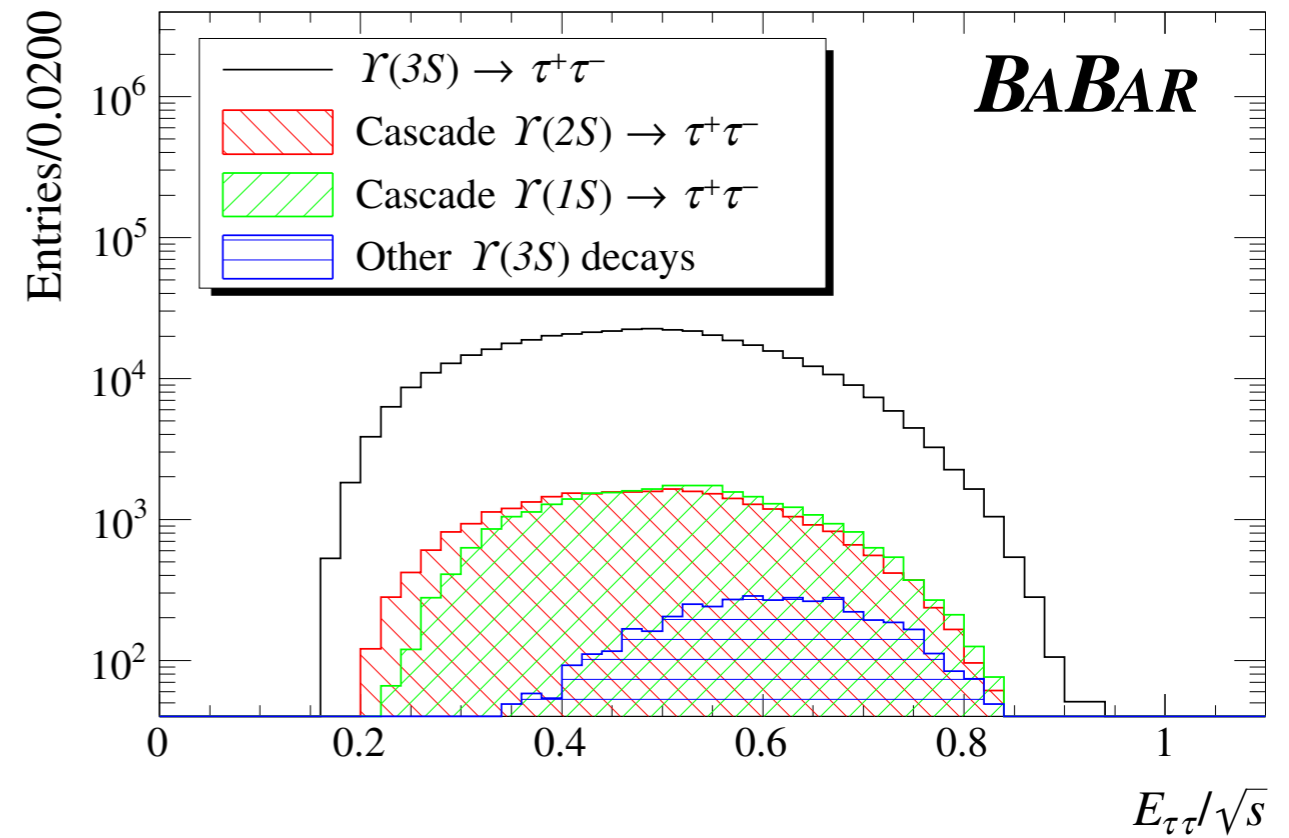
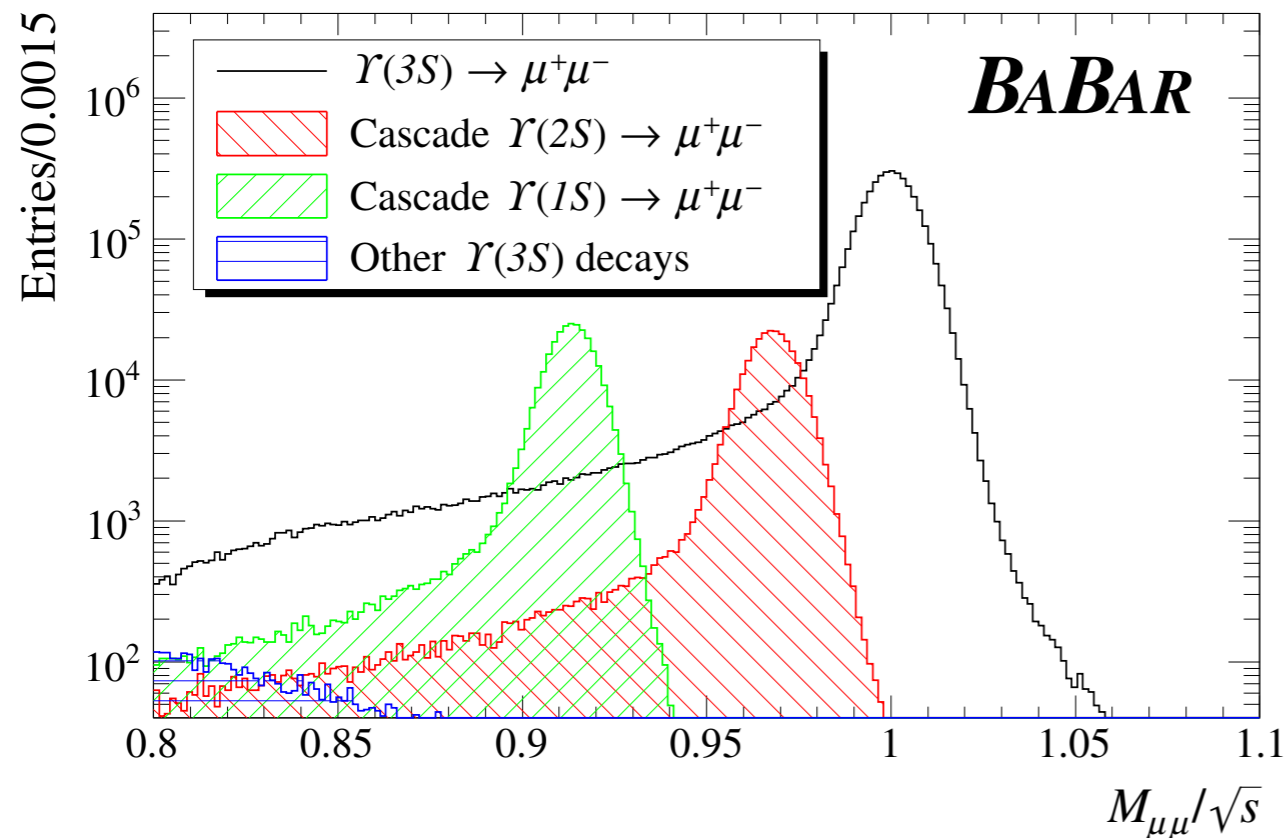


COMPONENTS FOR FIT

- Signal template taken from MC
- Continuum template taken Run6 on-peak $\Upsilon(4S)$ sample (78/fb), which has negligible leptonic BF
- Radiative return production of $\Upsilon(1S)/\Upsilon(2S)/\Upsilon(3S)$ at 10.58 GeV is estimated & subtracted from continuum template
- There is a small contamination of low-multiplicity $B\bar{B}$ in tau continuum sample at $\Upsilon(4S)$ energy
 - We leave template as-is, but apply 0.42% correction to tau rate obtained from fit

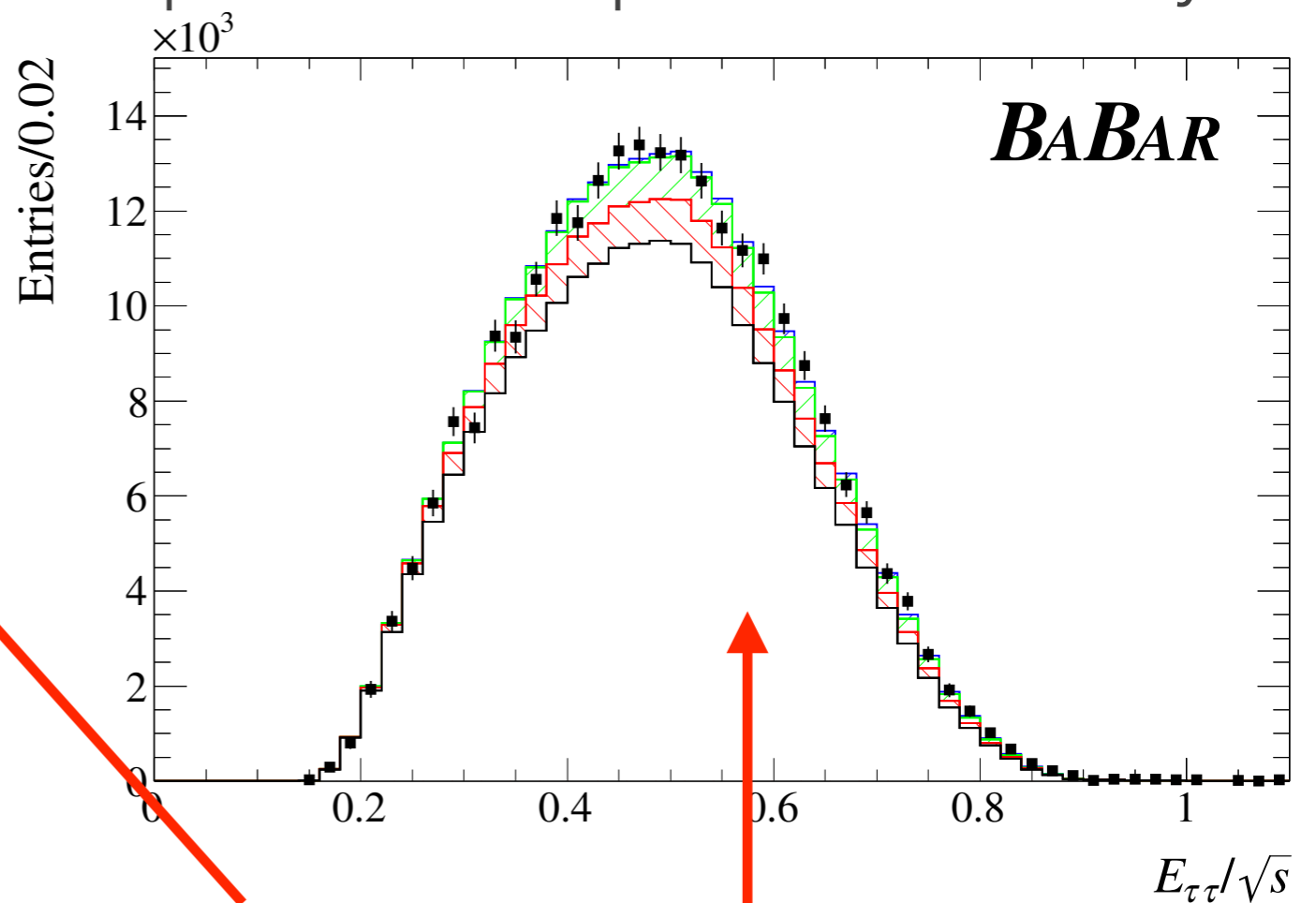
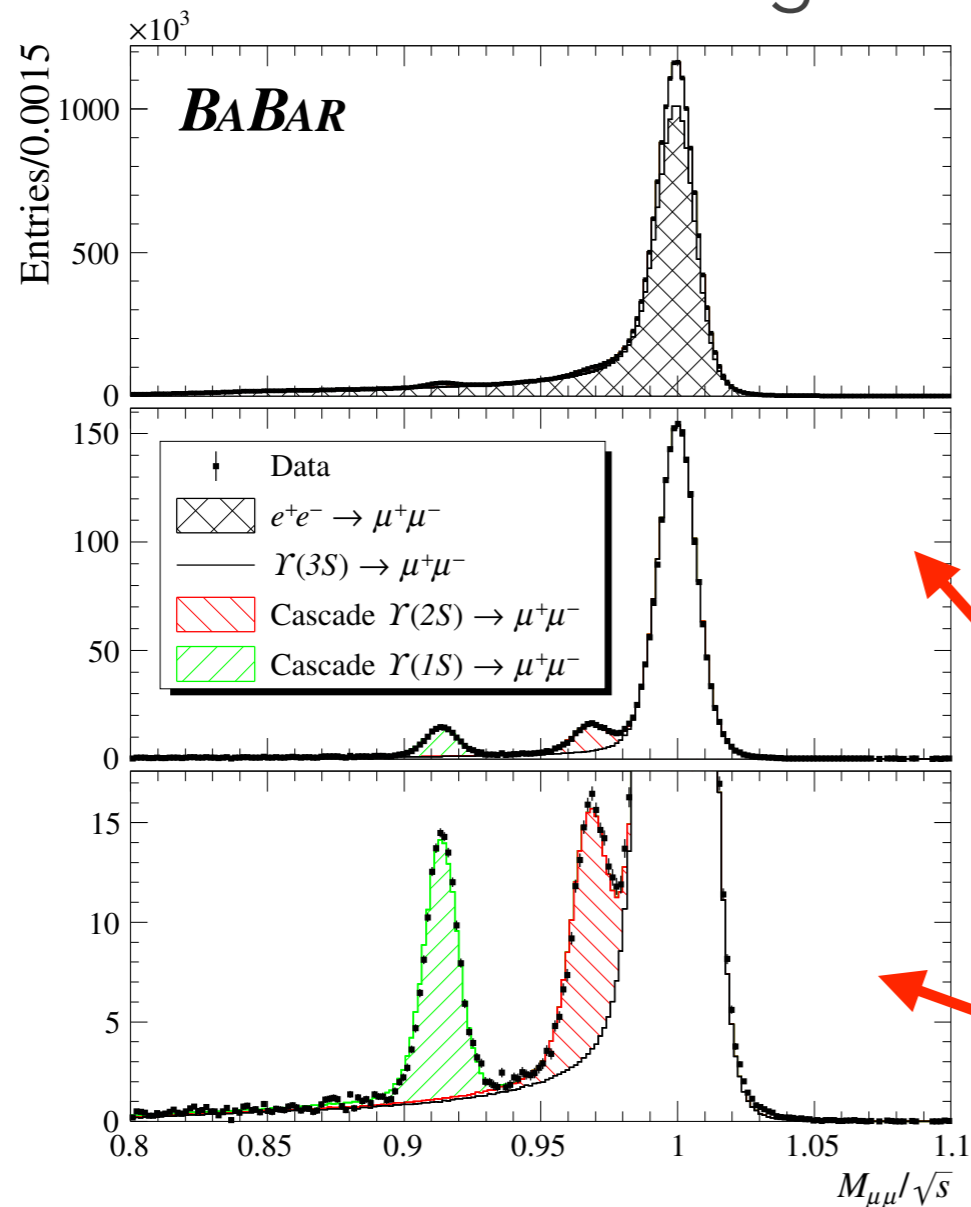
CASCADE & HADRONIC BKDS

- Other backgrounds include cascade decays $\Upsilon(3S) \rightarrow \Upsilon(nS) + X$, $n = 1, 2$ and hadronic decays that nevertheless pass dilepton selections
- These templates are taken from MC (EvtGen)



$\Upsilon(3S) \rightarrow \ell^+ \ell^-$ EXTRACTION

- Binned maximum-likelihood template fit to $M_{\mu\mu}/\sqrt{s}$ and $E_{\tau\tau}/\sqrt{s}$
- $N_{\mu\mu}$ and the ratio $N_{\tau\tau}/N_{\mu\mu}$ are free parameters, as are normalizations of background components except hadronic decays



background subtracted

SYSTEMATIC UNCERTAINTIES

- Dominant PID uncertainty comes from varying electron PID requirements used
- Relax assumption of LFU in cascade decays, error captures spread

Source	Uncertainty (%)
Particle identification	0.9
Cascade decays	0.6
Two-photon production	0.5
$\Upsilon(3S) \rightarrow$ hadrons	0.4
MC shape	0.4
$B\bar{B}$ contribution	0.2
ISR subtraction	0.2
Total	1.4

- Vary selections on track transverse momentum to eliminate two-photon production, difference in result taken as uncertainty
- Hadronic backgrounds varied by 50% to assess systematic
- MC shape: compare results of different generators (EvtGen+PHOTOS vs. KKMC) and vary signal resolution
- ISR: vary subtraction by 10% to account for uncertainties in radiative return, vary masses/widths within PDG values

RATIO OF BRANCHING FRACTIONS

$$\mathcal{R}_{\tau\mu} = \frac{N_{\tau\tau} \varepsilon_{\mu\mu}}{N_{\mu\mu} \varepsilon_{\tau\tau}} (1 + \delta_{B\bar{B}}) = 0.9662 \pm 0.0084_{\text{stat}} \pm 0.014_{\text{syst}}$$

BABAR, PRL 125, 241801 (2020)

$$\mathcal{R}_{\tau\mu}^{\Upsilon(3S)}(\text{SM}) = 0.9948$$

- Total uncertainty of 0.016, 6x more precise than CLEO
- Agreement with SM at level of 2σ

SUMMARY

$$\mathcal{R}_{\tau\mu}^{(3S)} = \frac{\text{BF}(\Upsilon(3S) \rightarrow \tau^+\tau^-)}{\text{BF}(\Upsilon(3S) \rightarrow \mu^+\mu^-)} = 0.9662 \pm 0.0084_{\text{stat}} \pm 0.014_{\text{syst}}$$

- High-purity dimuon and ditau samples at *BABAR* allow precise measurement of ratio of $\Upsilon(3S)$ BFs to taus and muons
- New method using radiative tail on dimuon distribution allows separation of signal and continuum backgrounds
- Factor of 6 improvement over previous measurement at CLEO
- Agrees with the SM value of 0.9948 at the 2σ level
- *BABAR* still producing leading flavor results 12 years after end of data taking!

BACKUP SLIDES

THEORY PREDICTIONS

TABLE III: *The simplified (single boson) models and the predicted range for $R_{\tau/\ell}^V$ for $V = \Upsilon(1S), \psi(2S)$. The achievable and projected uncertainties are our estimations, see the text for more details.*

UV field content	$R_{\tau/\ell}^{\Upsilon(1S)}$	$R_{\tau/\ell}^{\psi(2S)}$	Predicted modification to $R_{\tau/\ell}^{\Upsilon(1S)}$
$W'_\mu \sim (1, 3)_0$	0.989-0.991	0.390	Decrease by 0.2% – 0.4%
$U_\mu \sim (3, 1)_{+2/3}$	0.952-0.990	SM	Decrease by 0.3% – 4.0%
$S \sim (3, 1)_{-1/3}$	SM	0.389-0.390	–
$V_\mu \sim (3, 2)_{-5/6}$	0.976-0.987	SM	Decrease by 0.5% – 1.6%
SM	0.992	0.390	
Current measurement	1.005 ± 0.025	0.39 ± 0.05	
Achievable uncertainty (with current data)	± 0.01	± 0.02	
Projected uncertainty ($\mathcal{L}^{\Upsilon(3S)} = 1/\text{ab}$ in Belle II)	± 0.004	–	

Aloni et al., JHEP 06, 019 (2017)

$e^+e^- \rightarrow \tau^+\tau^-$ Signal Selection

2.17×10^6 $\tau\tau$ candidates
Purity = 98.9%

$\tau_1 \rightarrow e \nu\nu, \tau_2 \rightarrow \mu \nu\nu \quad || \quad h n\pi^0 \nu \quad n=0,1,2,\dots$

- Two and only two opposite charged particles, each with polar angle acceptance designed to be insensitive to CM energy: $41^\circ < \theta^{CM} < 148^\circ$
- Tracks roughly backed-to-back in CM: angle $> 110^\circ$
- PID one track as electron AND the other must fail the same electron PID requirements: e and not-e

Require Presence of neutrinos from τ decays

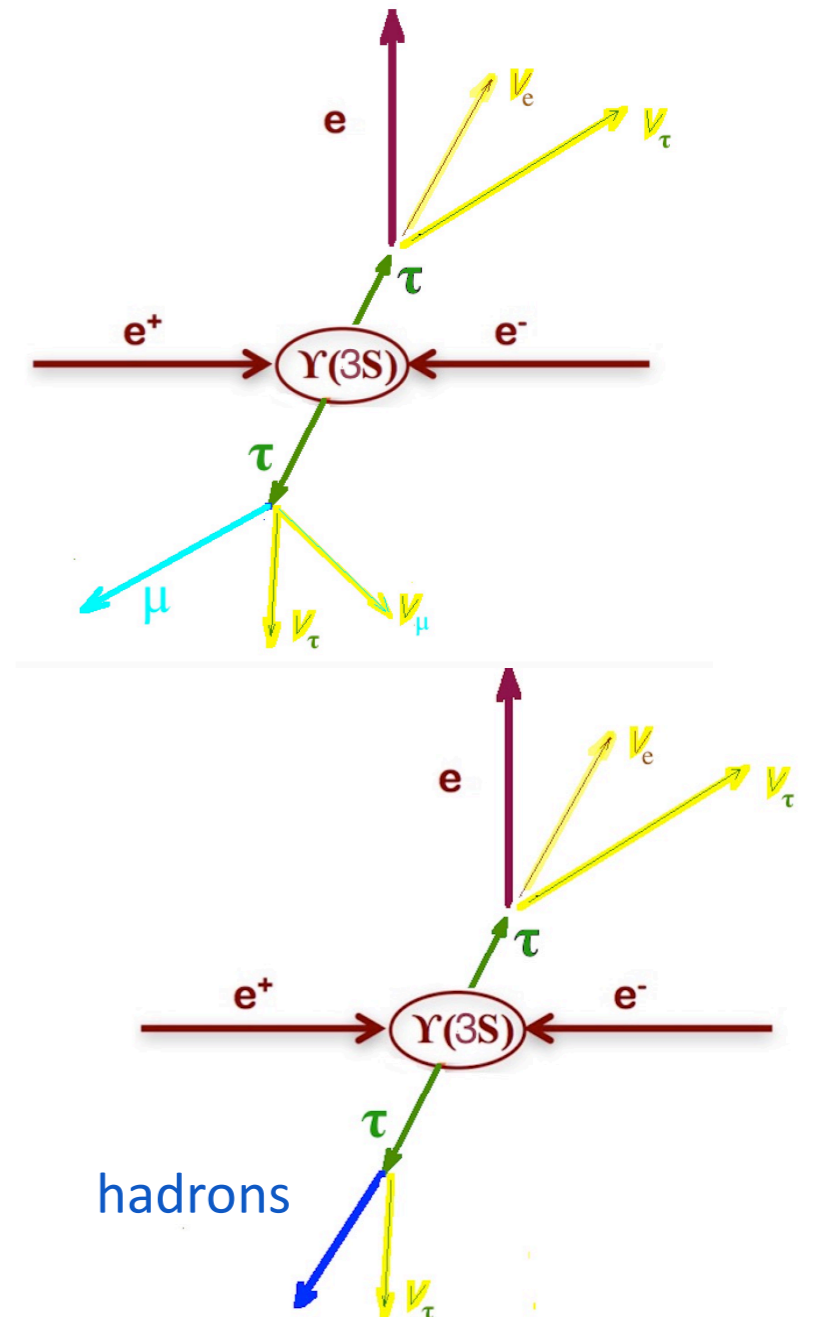
- Track azimuthal acollinearity $> 3^\circ$
- Total calorimeter energy $< 0.70 \times [E_{\text{beam}}(e^-) + E_{\text{beam}}(e^+)]$
- $|M_{\text{MISS}}^2| > 0.01 \times E_{\text{cm}}^2$
- $|\cos \theta_{\text{MISS}}^{CM}| < 0.85$

Suppress Bhabha backgrounds

- Both azimuthal and polar angle acollinearity of not-e and $[e+\gamma] > 2^\circ$

Suppress of Two-photon backgrounds

- Cuts on transverse momenta of the two tracks



$e^+e^- \rightarrow \mu^+\mu^-$ Signal Selection

18.8×10^6 $\mu\mu$ candidates
Purity = 99.9%

Two High Momentum Back-to-Back Charged Particles

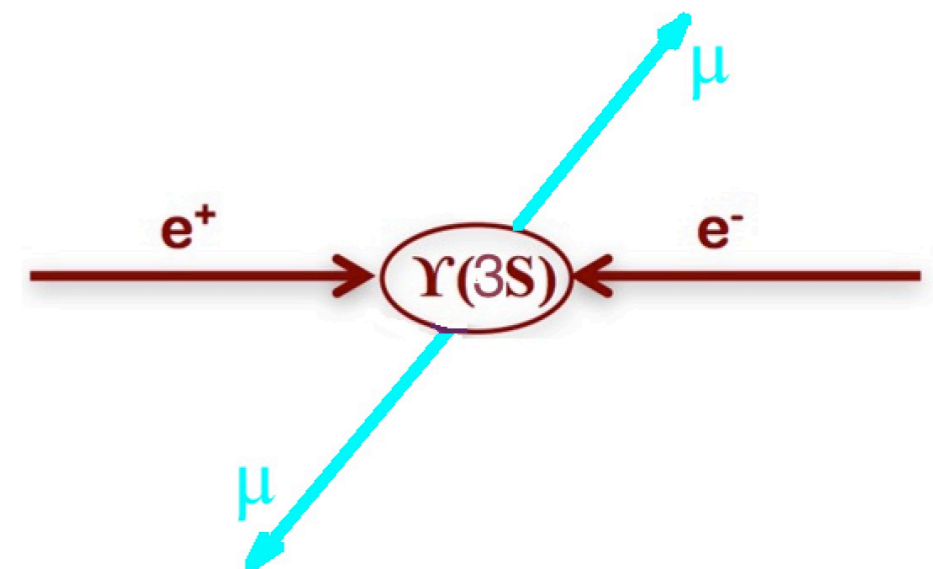
- Two and only two opposite charged particles each within polar angle acceptance designed to be insensitive to CM energy:
 $0.65 \text{ rad} < \theta^{\text{CM}}(-) < 2.5 \text{ rad}$ && $0.58 \text{ rad} < \theta^{\text{CM}}(+)< 2.56 \text{ rad}$
- CM opening angle between charged particles $> 160^\circ$
- CM polar angle back-to-back in Filter: $2.8 \text{ rad} < \theta^{\text{CM}}(-) + \theta^{\text{CM}}(+)< 3.5 \text{ rad}$
- $P^{\text{CM}}_{\text{high}} > 4 \text{ GeV}$ || $P^{\text{CM}}_{\text{low}} > 2 \text{ GeV}$

Invariant mass of two charged particles near CM energy

- $0.8 < M_{\mu\mu}/E_{\text{cm}} < 1.1$

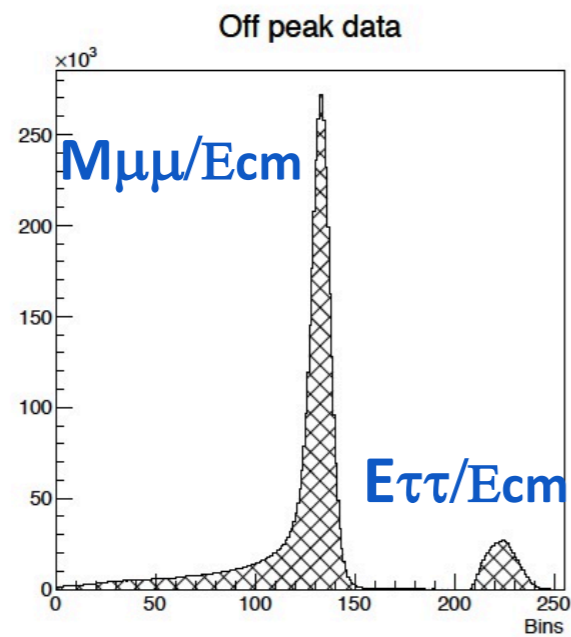
Tracks are muon-like: suppress Bhabha backgrounds

- Total EM calorimeter energy associated with both tracks $< 2\text{GeV}$
- At least one particle has response in the Instrumented Flux Return (IFR)

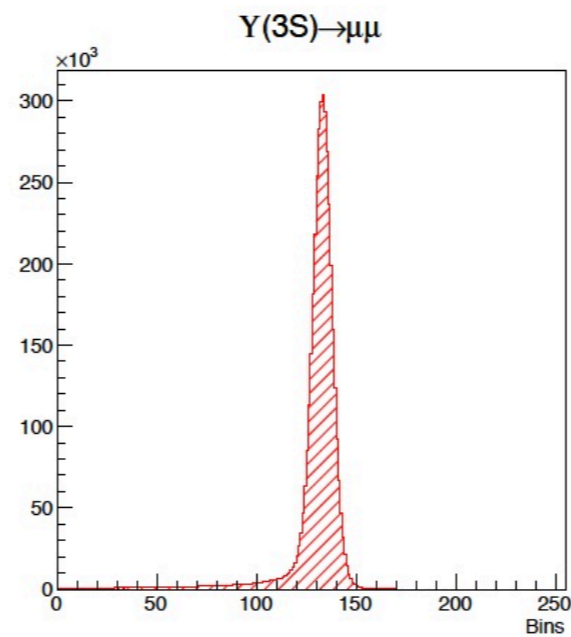


FITTING TEMPLATES

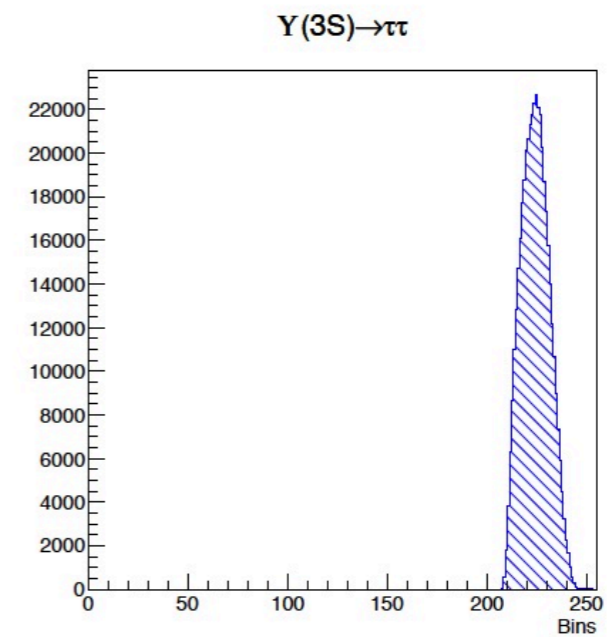
Run 6 $\Upsilon(4S)$ data



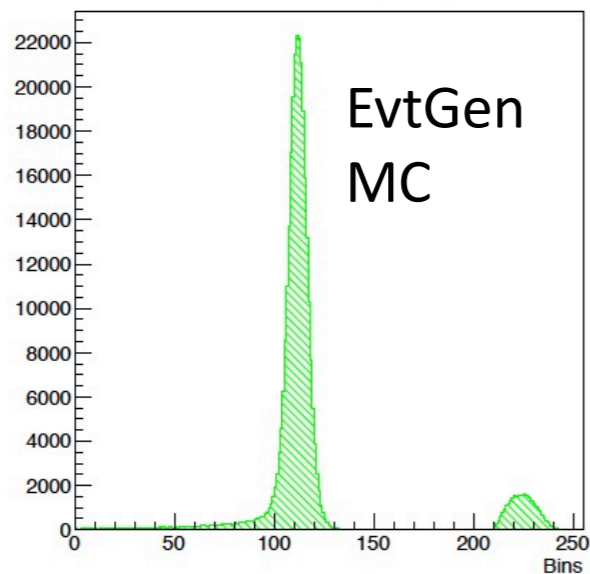
Signal $\mu\mu$ MC no ISR



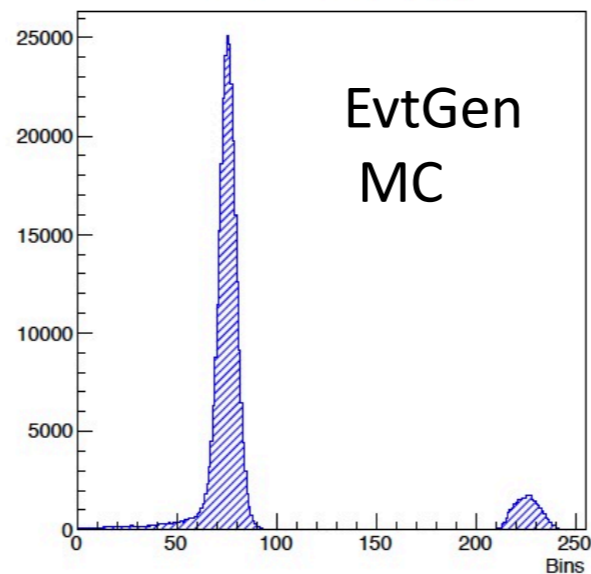
Signal $\tau\tau$ MC no ISR



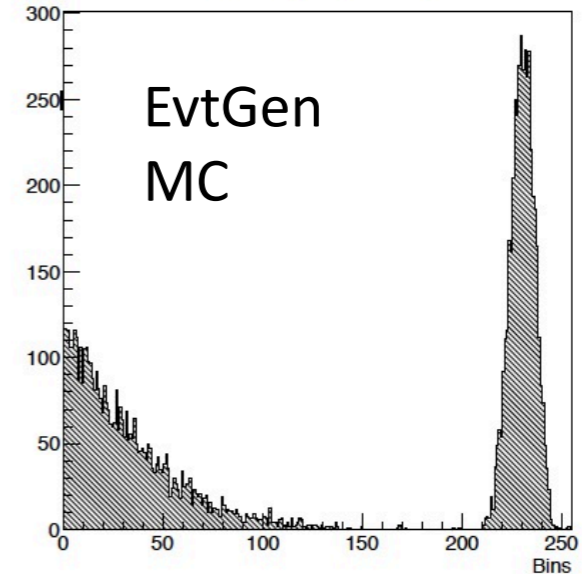
Cascade $\Upsilon(2S) \rightarrow \mu\mu, \tau\tau$



Cascade $\Upsilon(1S) \rightarrow \mu\mu, \tau\tau$



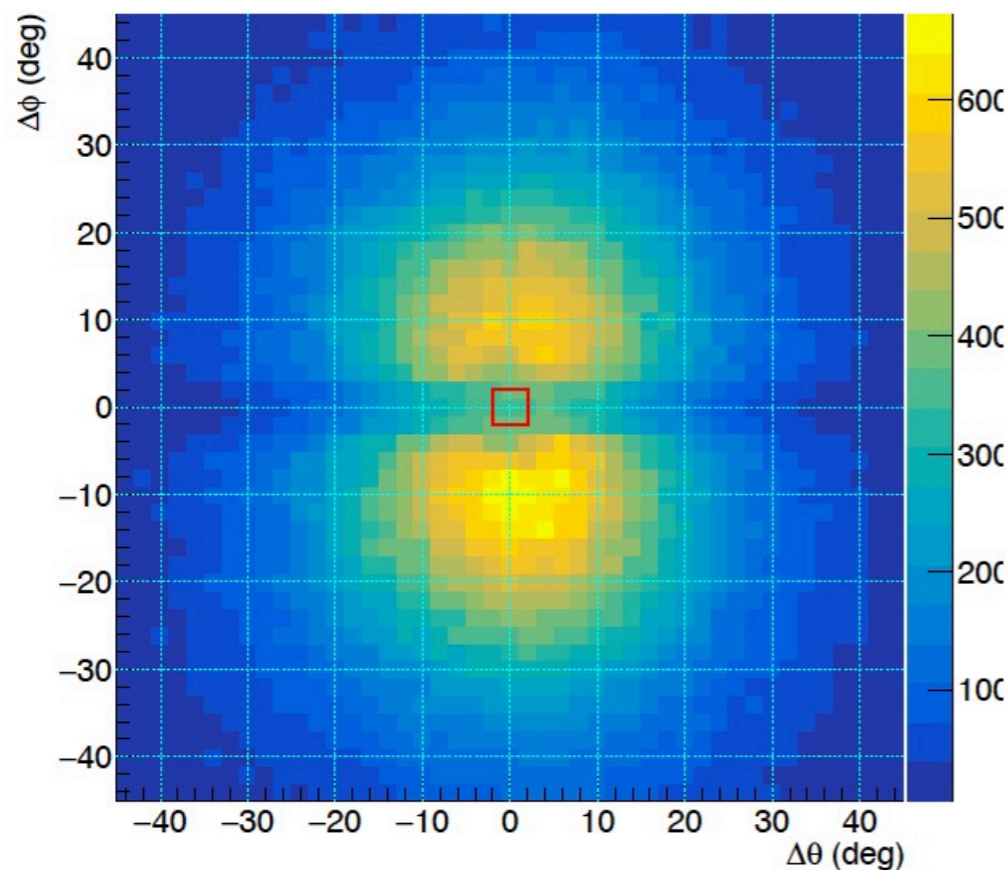
Other $\Upsilon(3S)$ decays



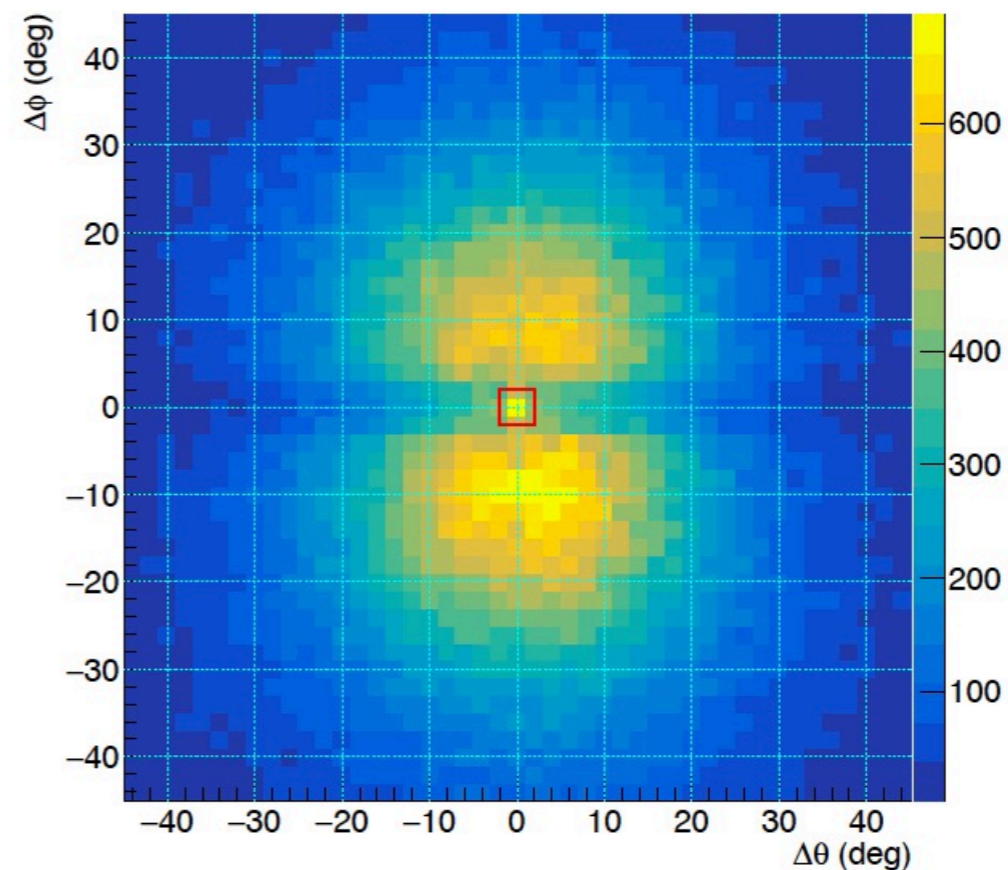
$\tau^+\tau^-$ Selection: Bhabha background suppression

To further suppress radiative Bhabha events when a hard photon is emitted at large angle the direction of the electron is corrected using the most energetic photon found in the calorimeter $\vec{P}_{e\gamma} = \vec{P}_e + \vec{P}_\gamma$ to restore collinearity and then reject collinear events: $|\Delta\phi| < 2^\circ$ and $|\Delta\theta| < 2^\circ$ with $\Delta\phi = |\phi(\vec{P}_{e\gamma}) - \phi(\vec{P}_\phi)| - 180^\circ$ and $\Delta\theta = \theta(\vec{P}_{e\gamma}) + \theta(\vec{P}_\phi) - 180^\circ$

MC $ee \rightarrow \tau\tau$
Track open angle corrected

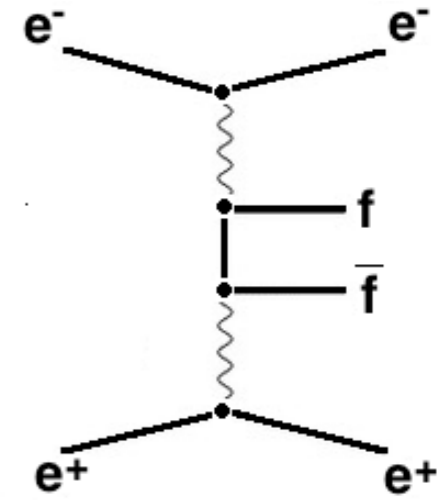


Data
Track open angle corrected



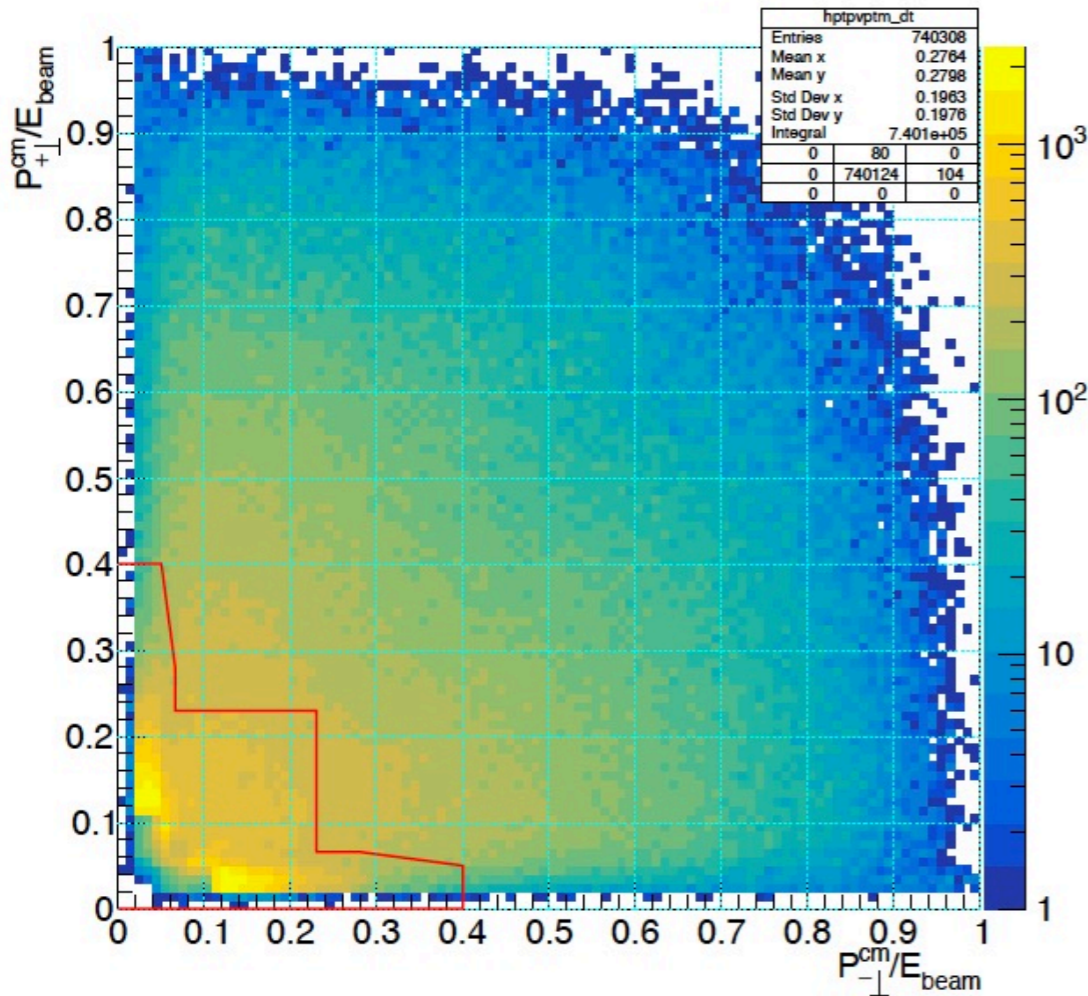
$\tau^+\tau^-$ Selection: 2-photon background suppression

Since momenta of particles of two-photon production are correlated, a two-dimensional selection is applied to maintain good efficiency for signal and reject two-photon background.



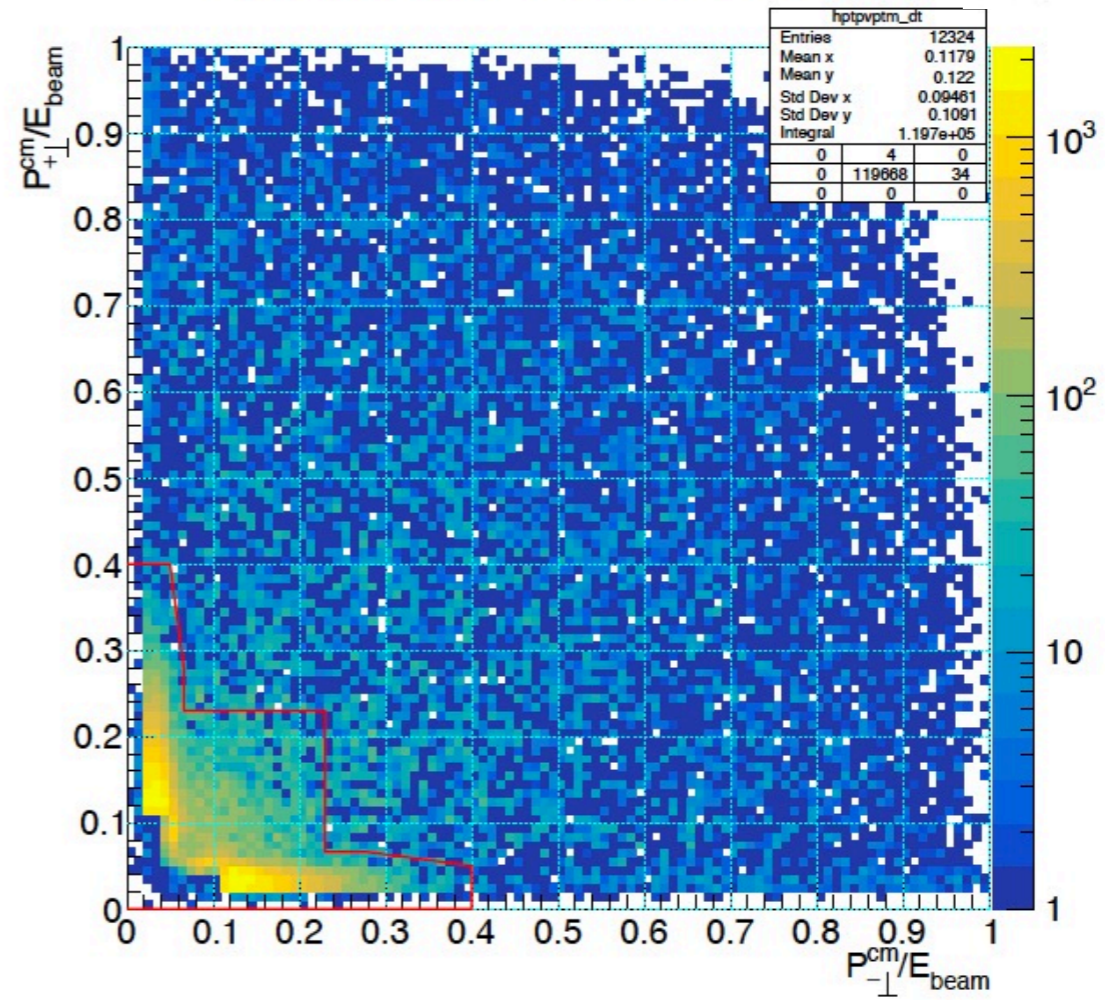
Data

Transversal momentum of two charged particles



Data

Transversal momentum of two charged particles



Known MC backgrounds are subtracted.

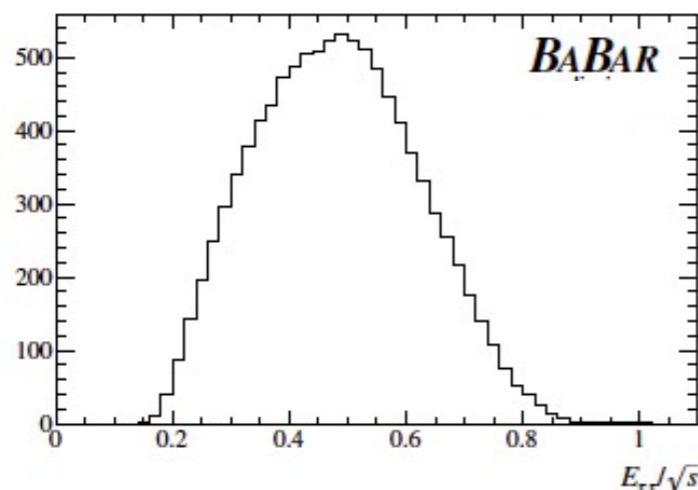
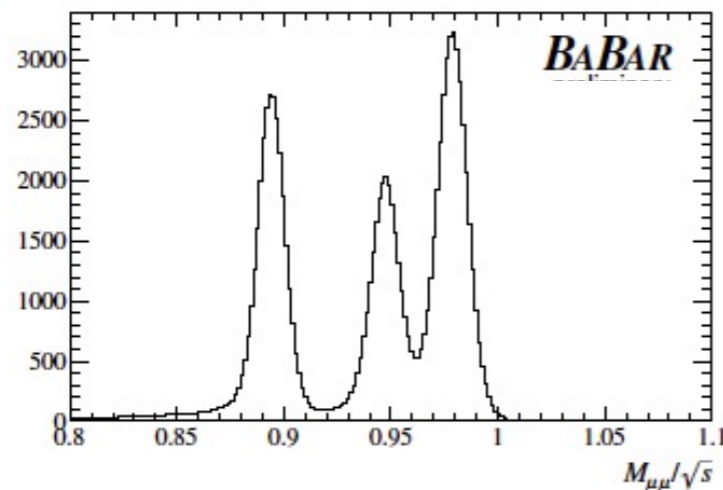
Correct for ISR-produced $\Upsilon(nS)$ in $\Upsilon(4S)$ Data

Templates intended to describe Continuum only

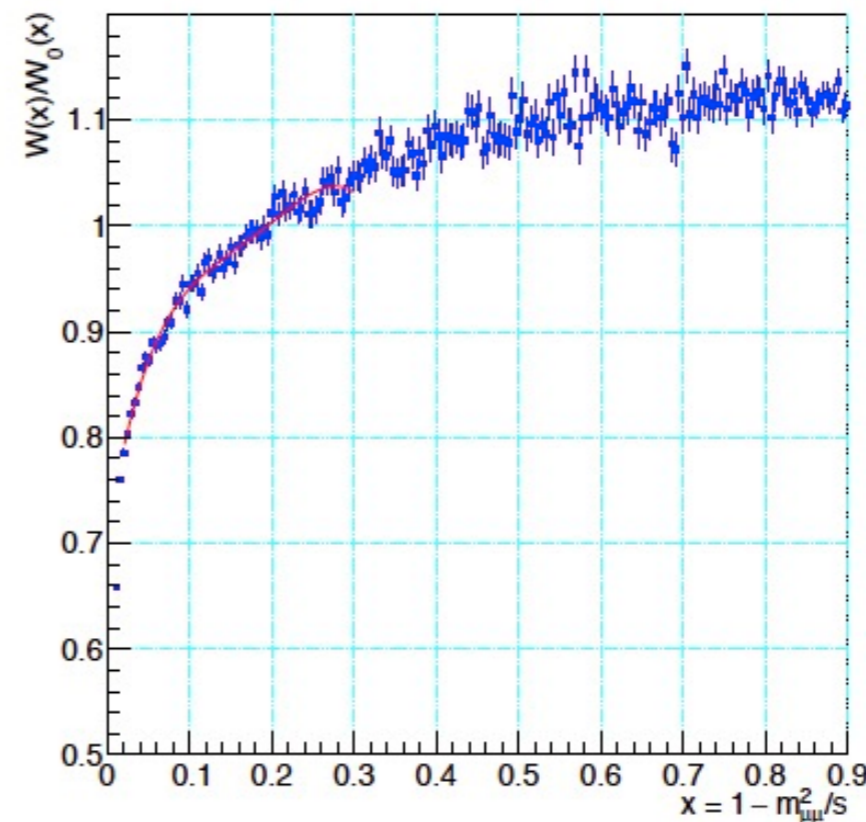
The Run 6 continuum template is corrected to take into account $\Upsilon(nS)$ produced by the radiative return process. Total ISR cross section for a narrow resonance is

$$\sigma(s) = \frac{12\pi^2 \Gamma_{ee} \Gamma_{\mu\mu}}{sM\Gamma} W(s, x_0), \quad x_0 = 1 - \frac{M^2}{s}, \quad W_0(s, x) = \frac{\alpha}{\pi x} \left(\ln \frac{s}{m_e^2} - 1 \right) (2 - 2x + x^2),$$

where W_0 is one photon radiator function, since all $\Upsilon(nS)$ resonances are close to each other – photon emission is soft and corrections have to be evaluated.



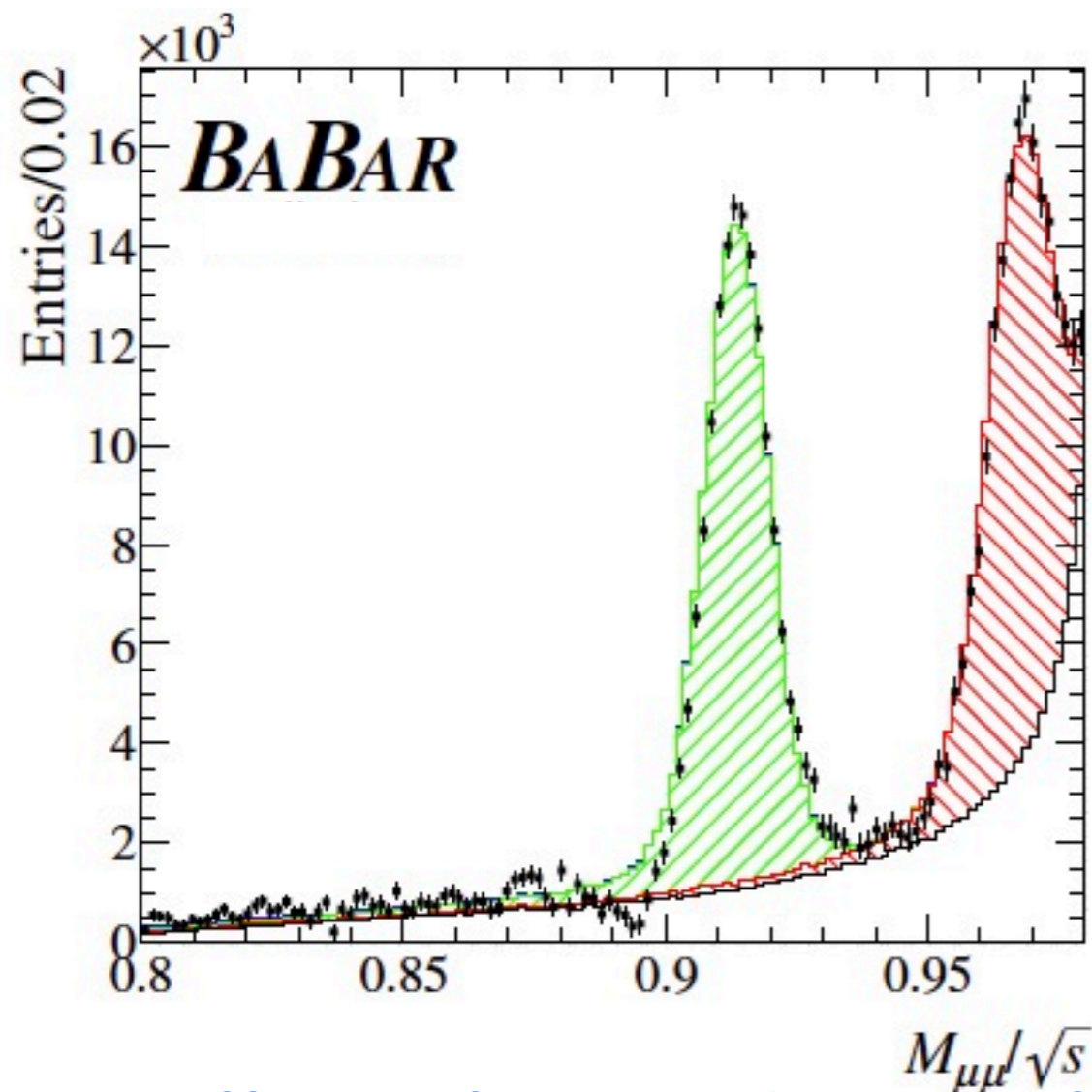
PHOKHARA10
Correction to one-photon radiator $W_0(x)$



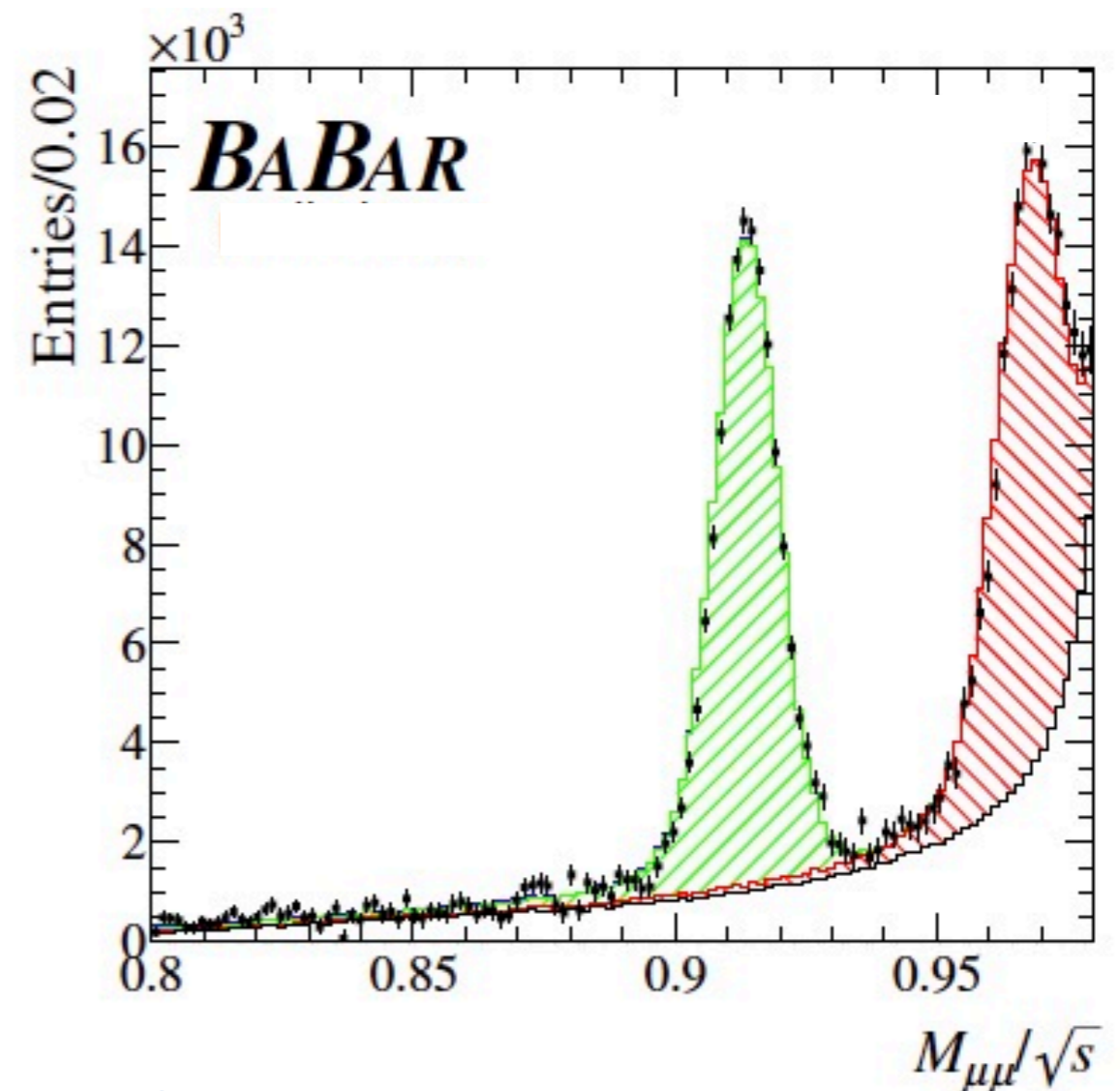
PHOKHARA
MC Correction
to above formula
For soft photon
emission

SUBTRACTING RADIATIVE RETURN

Continuum template is NOT corrected
For ISR production of $\Upsilon(nS)$



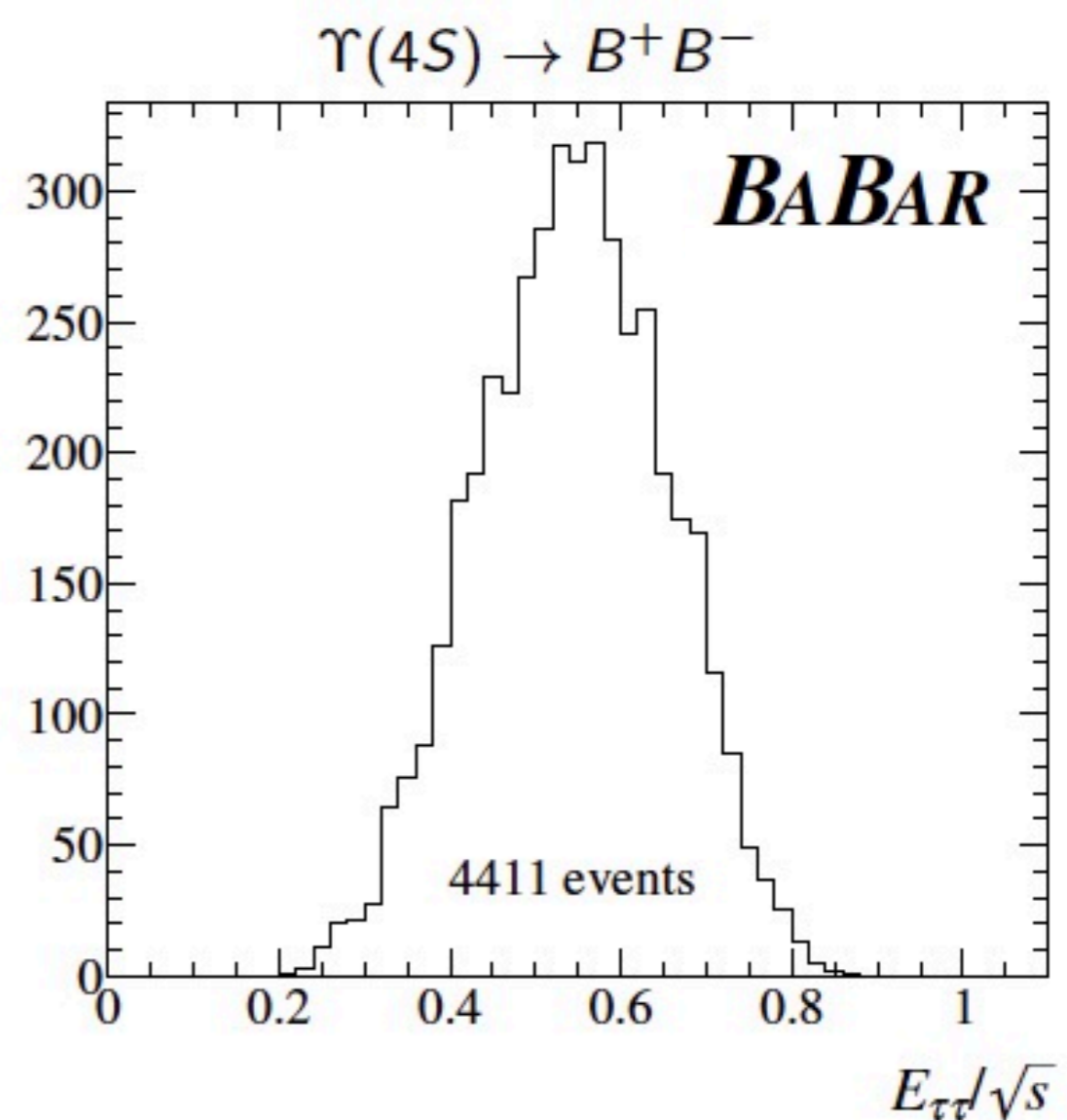
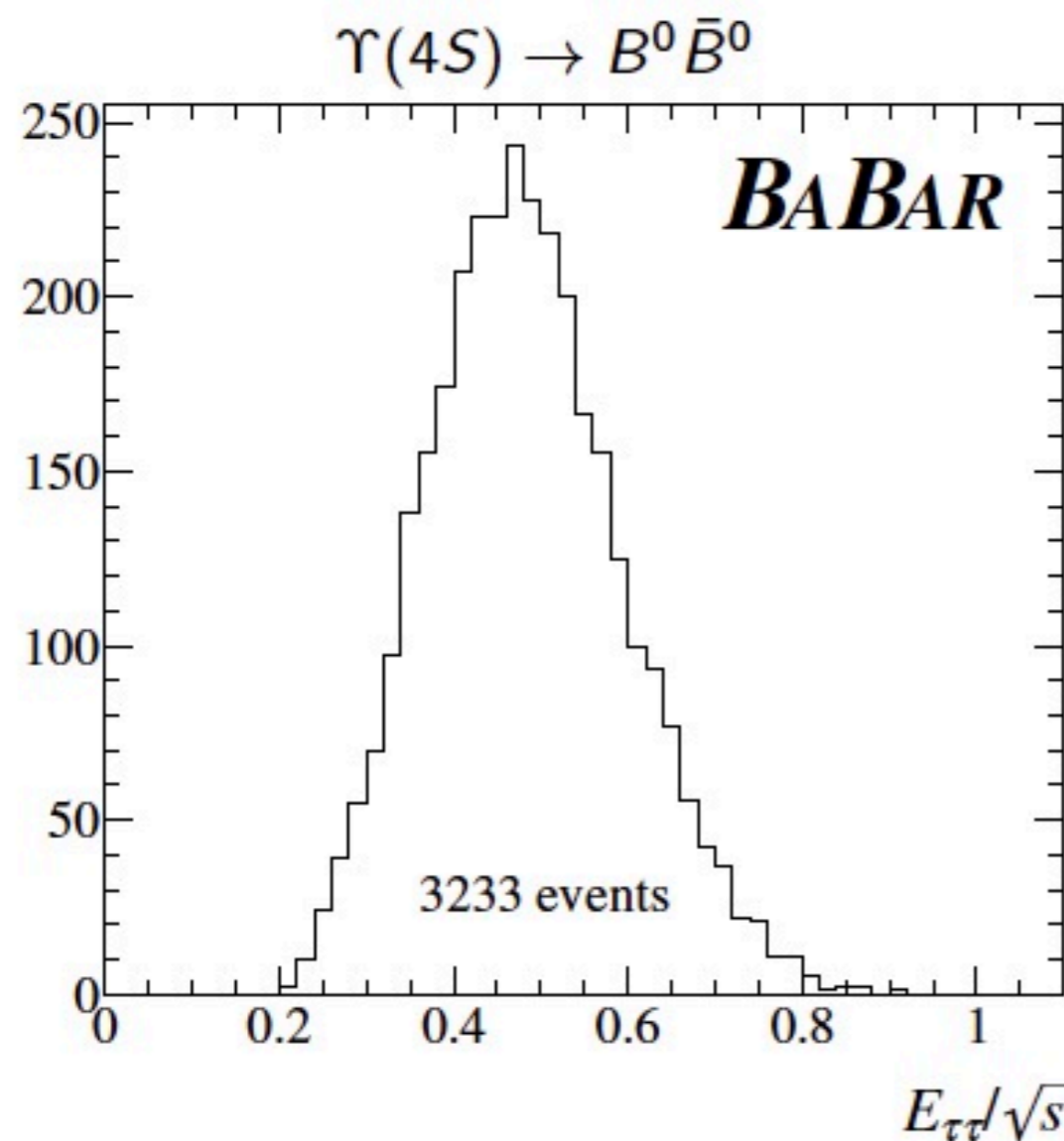
Continuum template IS corrected
For ISR production of $\Upsilon(nS)$



Effects of ISR production of $\Upsilon(nS)$ evident in
continuum-subtracted distribution ... $\Upsilon(1S)$ particularly clear

Accounting for $B\bar{B}$ Background

Continuum template uses RUN 6 data at $\Upsilon(4S)$ and low multiplicity B meson decays can contaminate the sample: in MC that is 3x data sample 15 $\mu^+\mu^-$ events and 7644 $\tau^+\tau^-$ events are selected



Results in a $\delta_{BB} = 0.42\%$ correction to $R_{\tau\mu}$