

Cancellation in Dark Matter-Nucleon Interactions: the Role of Non-Standard-Model-like Yukawa Couplings (Phenomenology 2021 Symposium)

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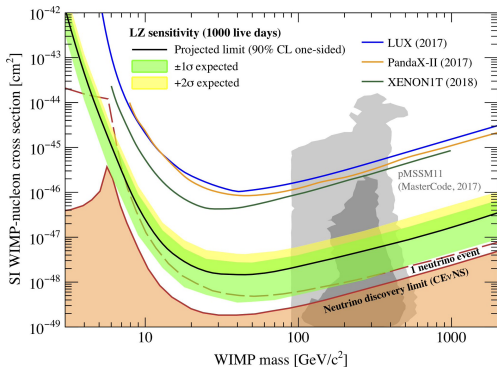
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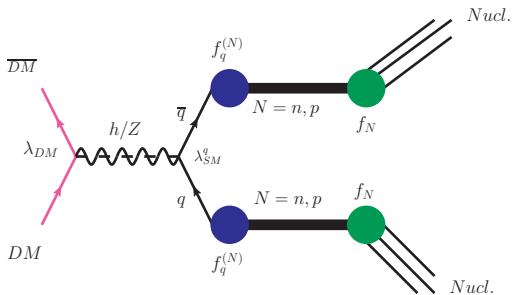
Present Picture: Experimental Aspects



[LUX-ZEPLIN Collaboration : 1802.06039]

- **Null** results from the DM-search experiments.
- Detector sensitivity is gradually approaching the **neutrino floor**.
- **WIMP** paradigm is losing its **miracle**!

And the Theory Says...



- Several **simple** extensions of SM (e.g. **Z**-portal, **H**-portal, **Z'**-portal etc.) have been proposed to explain the **DM** phenomenology.

- The **Higgs portal** models \Rightarrow most relevant in **SI DD** for many favoured **BSM** scenarios (e.g. **SUSY**).

- But the continuous **null** results have put strong constraints on these simple extensions, threatening them to be **ruled out**.

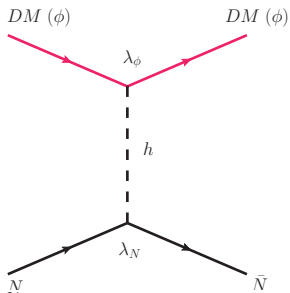
Are we missing something?

Some Attempts

- In some parts of the parameter space the DM couplings to Z or h may be highly suppressed or even zero \Rightarrow **Blind spots**.
[Phys. Rev. D 79 (2009) 023521, J. High Energy Phys. 05 (2013) 100]
- A much suppressed σ_{SI} can be obtained if the DD proceeds only through the **loops**. [Eur.Phys.J.C 78 (2018) 6, 471]
- In a simple H-portal DM model with a complex scalar, a softly broken symmetry might ensure $\sigma_{SI} \rightarrow 0$. [Phys. Rev. Lett. 119 (2017) 191801, J. Cosmol. Astropart. Phys. 11 (2018) 050]
- **Isospin-violating** DM is another interesting scenario which assumes non-identical f_p and f_n . [Phys. Rev. D 69 (2004) 063503, Phys. Lett. B 703 (2011) 124-127]

More general approach?

Probably, Yes!



$$\mathcal{L}_N^{\text{SI}} = f_N(\phi\phi)(\bar{N}N) \Rightarrow$$
$$f_N = \frac{\lambda_\phi \lambda_N}{m_h^2} \quad \text{and} \quad \sigma_{SI} \propto |\lambda_N|^2$$

where,

$$\frac{\lambda_N}{m_N} = \sum_{q=u,d,s} f_q^{(N)} \frac{y_q}{m_q} +$$
$$\frac{2}{27} f_G^{(N)} \sum_{q=c,b,t} \frac{C_q y_q}{m_q} \quad \dots\dots (A)$$

- Almost all the earlier attempts tried to tune λ_ϕ .
 - But what happens if $\lambda_N \rightarrow 0$ irrespective of λ_ϕ ?
 - $\lambda_N = 0 \Rightarrow$ *Non-SM-like* negative y_q .
 - If y_c and y_s are allowed to deviate from **SM** :
- $$y_s = -\frac{m_s}{f_s^{(N)}} \left(f_u^{(N)} \frac{y_u}{m_u} + f_d^{(N)} \frac{y_d}{m_d} \right)$$
- $$y_c = -m_c \left(\frac{y_b}{m_b} + \frac{y_t}{m_t} \right)$$

But wait... in SM, $y_q \propto m_q/v$!!!

Here is the Path...

Let's have a particular type of effective **dim-6** operators at some **NP** scale Λ in the quark Yukawa interaction Lagrangian,

$$\mathcal{L} \supset -Y_u \bar{q}_L \tilde{H} u_R - Y_d \bar{q}_L H d_R + \Delta \mathcal{L}_{eff} + H.c. \quad (1)$$

where,

$$\Delta \mathcal{L}_{eff} = \frac{H^\dagger H}{\Lambda^2} \left(Y_H^u \bar{q}_L \tilde{H} u_R + Y_H^d \bar{q}_L H d_R \right). \quad (2)$$

After **EWSB**,

$$m_q = v \left(Y_q - \epsilon Y_H^q \right), \quad (3)$$

$$y_q = \left(Y_q - 3\epsilon Y_H^q \right) = \frac{m_q}{v} - 2\epsilon Y_H^q \quad (4)$$

where, $\epsilon \equiv (v/\Lambda)^2$ and $v \simeq 174$ GeV.

And that's it! $y_q \neq m_q/v$

A Few Comments

$$\Lambda \sim \text{TeV} \text{ and } Y_H^q \simeq \mathcal{O}(1)$$

- The sign of y_q depends on the sign of the Wilson coefficients Y_H^q .
- For the first two gen. of quarks (u, d, s, c), $m_q/v \ll \epsilon Y_H^q \Rightarrow y_q$ may naturally become negative.
- To achieve the **correct** m_q with $y_q < 0$, the necessary condition is: $Y_H^q \left(\frac{v}{\Lambda}\right)^2 > \frac{m_q}{2v} \Rightarrow$ sets an **upper** bound on Λ (e.g. $\Lambda \leq 2.9 \text{ TeV}$ for $m_c = m_c^{\text{SM}}$).
- On the contrary, $y_q > 0$ can only set a lower bound on Λ .
- The choice of **negative** values for y_q is more **natural** and **predictive**.

Experimental Bounds on y_q

- A huge room is available for the variation of first two gen. of quark Yukawa couplings.

- Projected reach in the absolute y_q values ($q = u, d, s, c$) at the LHC with 3000 fb⁻¹ of IL : [[J. High Energy Phys. 01 \(2020\) 139](#)]

$$|y_u| < 560 y_u^{\text{SM}}, \quad |y_d| < 260 y_d^{\text{SM}}, \quad |y_s| < 13 y_s^{\text{SM}}, \quad |y_c| < 1.2 y_c^{\text{SM}}.$$

- Utilizing processes sensitive to the **sign** of y_q , the HL-LHC can restrict,

- $-1550 < y_u/y_u^{\text{SM}} < 700$ & $-800 < y_d/y_d^{\text{SM}} < 300$.

[[arXiv:1608.04376](#)]

- $y_c/y_c^{\text{SM}} \sim [-0.6, 3]$. [[Phys. Rev. Lett. 118 \(2017\) 121801](#)]

Singlet Scalar DM and Negative y_q

Let's consider a specific realization of the **dim-6** operators through new heavy **VL** particles at the **NP** scale Λ :

$$\mathcal{L}_{eff} = \mathcal{L}_{SM} + \mathcal{L}_{NP} + \mathcal{L}_{DM}$$

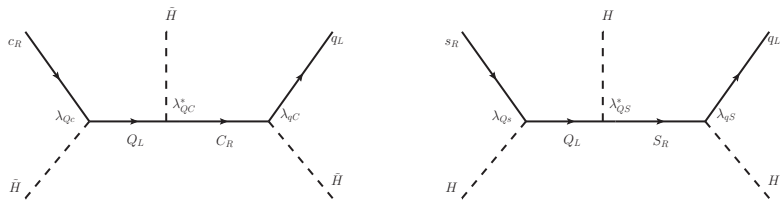
\mathcal{L}_{NP} : Underlying New Physics

Considering only one gen. of VL quarks,

$SU(2)$ Doublet	$SU(2)$ Singlets
$Q = (C, S)(3, 2, 1/6)$	$C(3, 1, 2/3)$ & $S(3, 1, -1/3)$

$$\begin{aligned} -\mathcal{L}_{NP} = & \left(\lambda_{QC} \bar{Q}_L \tilde{H} C_R + \lambda_{QS} \bar{Q}_L H S_R \right) \\ & + \left(\lambda_{qC} \bar{q}_L \tilde{H} C_R + \lambda_{qS} \bar{q}_L H S_R \right) \\ & + \left(\lambda_{Qc} \bar{Q}_L \tilde{H} c_R + \lambda_{Qs} \bar{Q}_L H s_R \right) + H.c. \end{aligned} \quad (5)$$

\mathcal{L}_{NP} : Underlying New Physics



- The **dim-6** operators in Eq. (2) can be obtained after integrating out the heavy **VL** quarks.

$$Y_H^C = \lambda_{qC} \lambda_{qC}^* \Lambda \quad , \quad \Lambda = \sqrt{M_C M_Q} \quad , \quad (6)$$

$$Y_H^S = \lambda_{qS} \lambda_{qS}^* \Lambda \quad , \quad \Lambda = \sqrt{M_S M_Q} \quad . \quad (7)$$

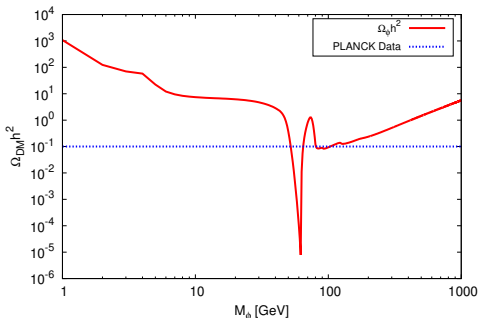
- Thus, with $M_{Q,C,S} \sim 2 \text{ TeV}$ and all the $\lambda_{\text{NP}} \sim \mathcal{O}(1)$, the $y_{q=c,s}$ can be considered for modification [Eq. (4)].

\mathcal{L}_{DM} : DM Phenomenology

- For a real singlet scalar ϕ as the **DM** particle,

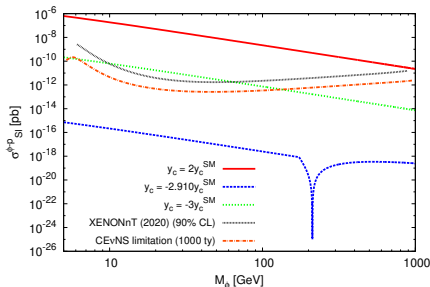
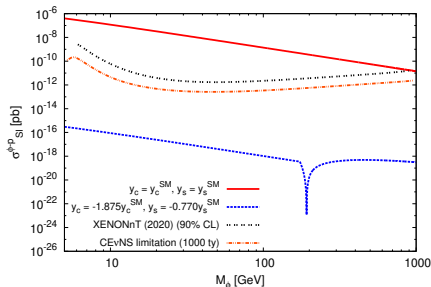
$$V = \frac{1}{2}\mu_\phi^2\phi^2 + \lambda_{H\phi}(H^\dagger H)$$

- After **EWSB**, the ϕ -mass term, $M_\phi = \sqrt{\mu_\phi^2 + 2\lambda_{H\phi}v^2}$.



- This variation is generated using *micrOMEGAs*.
- The dependence of $\Omega_\phi h^2$ on the variations of y_c and y_s is negligible.

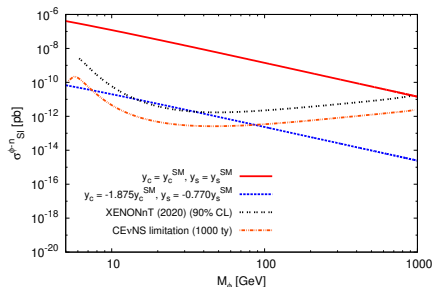
σ_{SI} and the Large Cancellation



- These exact cancellation values (i.e. $y_s = -0.77y_s^{SM}$ & $y_c = -1.875y_c^{SM}$ in 1st fig. and $y_c = -2.91y_c^{SM}$ in the 2nd) have been obtained for a typical set of $f_q^{(N)}$: [[arXiv:1305.0237](#)]

$$\begin{aligned}
 f_u^p &= 0.0153, & f_d^p &= 0.0191, & f_s^p &= 0.0447, \\
 f_u^n &= 0.0110, & f_d^n &= 0.0273, & f_s^n &= 0.0447
 \end{aligned}$$

Isospin Violation



- The above fig. shows that for the same set of y_c and y_s where $\lambda_p \rightarrow 0, \lambda_n \neq 0 \Rightarrow$ **Isospin Violation**

- In this framework $\lambda_n/\lambda_p \equiv f_n/f_p > 0$ can be easily achieved, but $f_n/f_p < 0$ appears only within a narrow domain of y_q/y_q^{SM} .

Summary

- We considered a **H-portal** DM model and assumed *non-SM-like* negative values for $y_q \Rightarrow \sigma_{SI} \rightarrow 0$.
- $y_q < 0$ can be realized in presence of a **dim-6** effective operator \Rightarrow an **upper** bound on the **NP** scale Λ .
- A model with **new particles** (**VL** quarks & ϕ) has been discussed as a practical realization of this idea.
- The proposed framework is able to accommodate **isospin violation**.
- Even though the future DM-search experiments are blind to our proposal, it might be tested at the **HL-LHC**.

Thank
you