

# Hunting for axions in the solar basin

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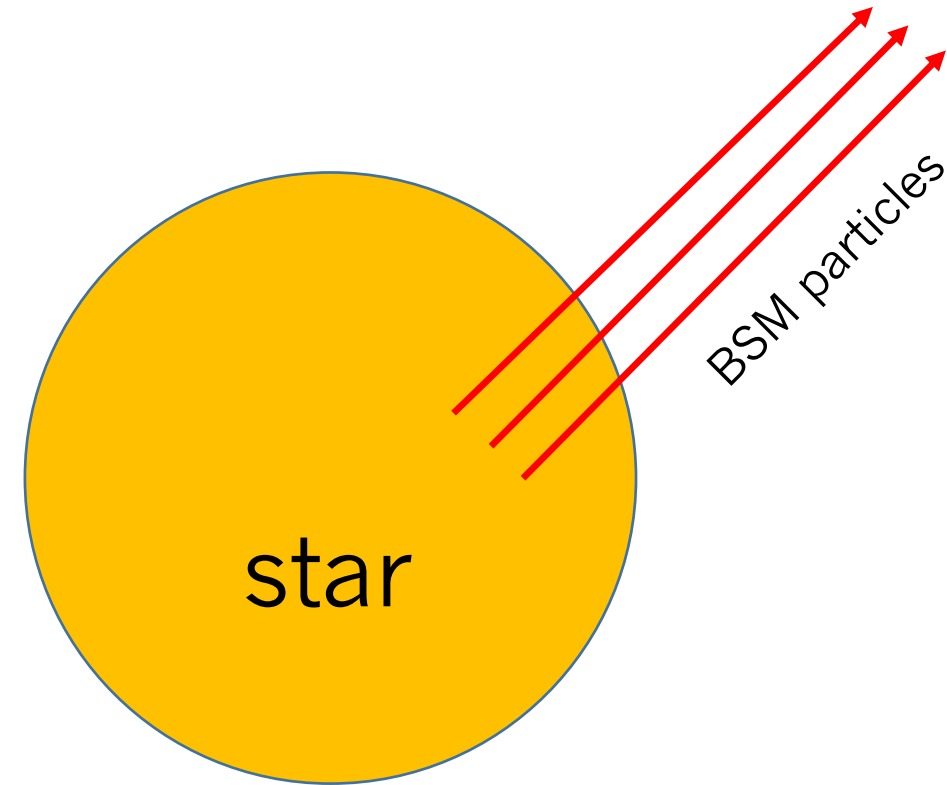
<sup>2</sup>*Perimeter Institute*

<sup>3</sup>*New York University*

<sup>4</sup>*Flatiron Institute*

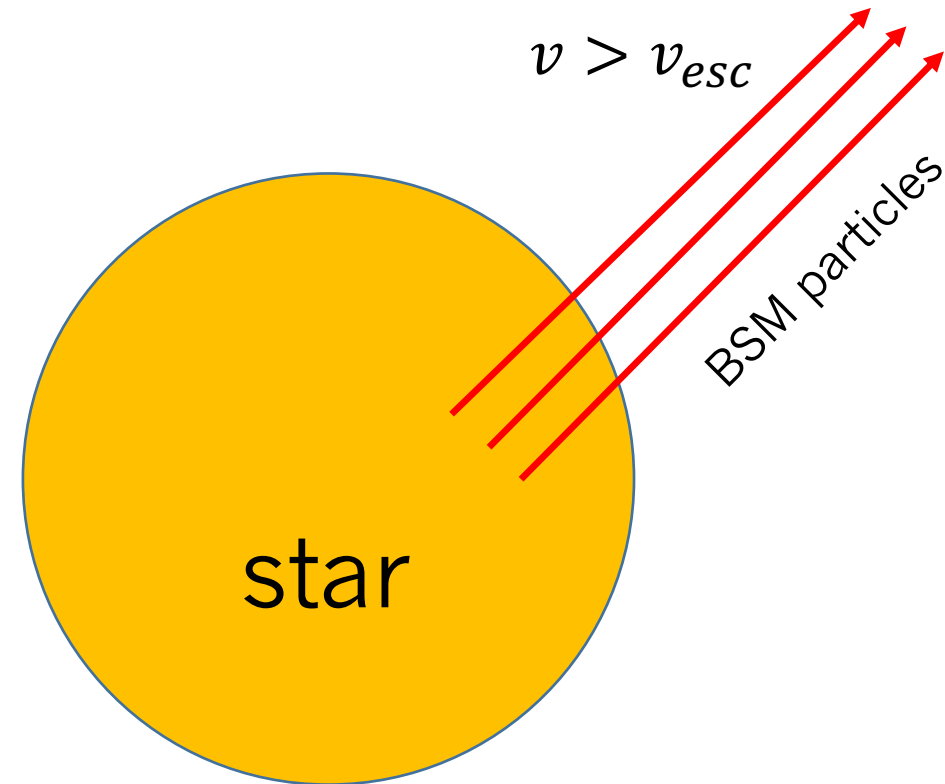
# Motivation

- Stars are well-known to be excellent sources of new particles



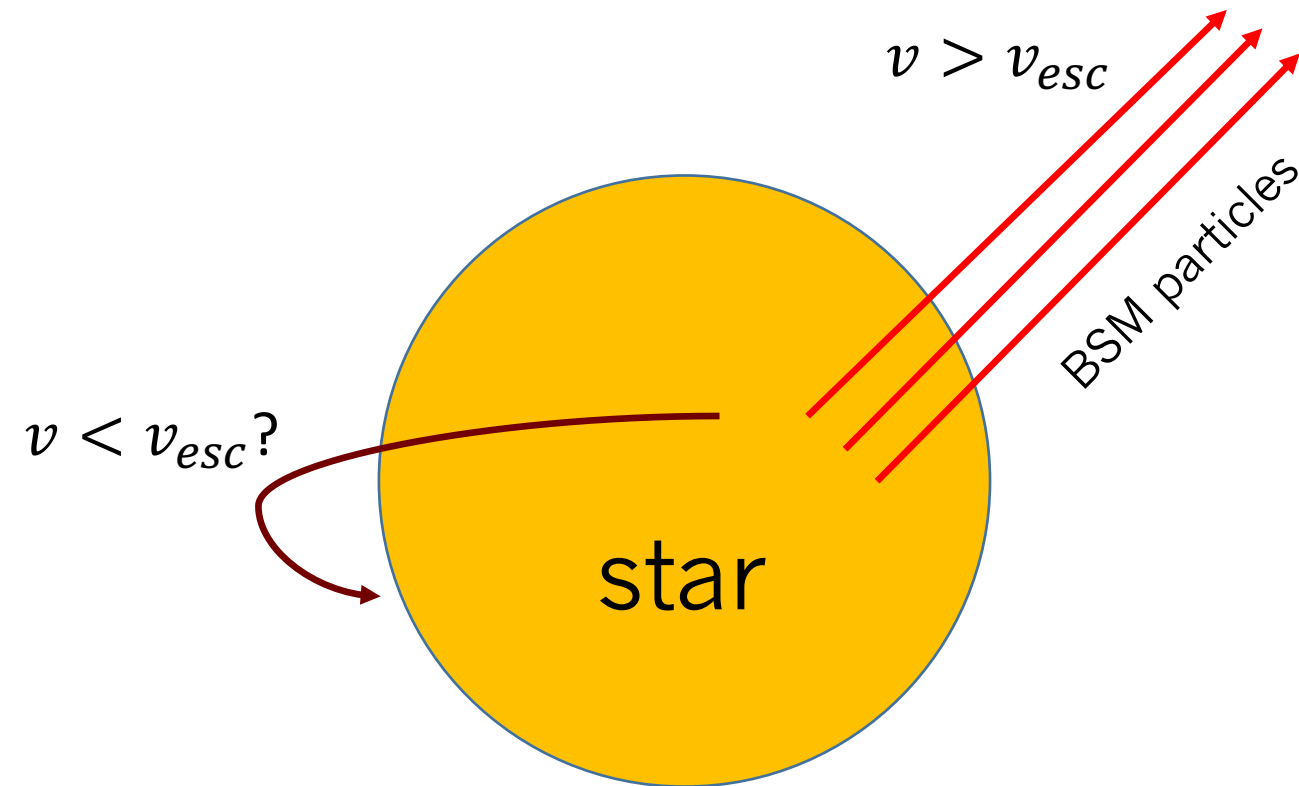
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- Stars are well-known to be excellent sources of new particles
- Most analyses focus on escaping flux



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- Stars are well-known to be excellent sources of new particles
- Most analyses focus on escaping flux
- What about the low-velocity tail?





# Outline

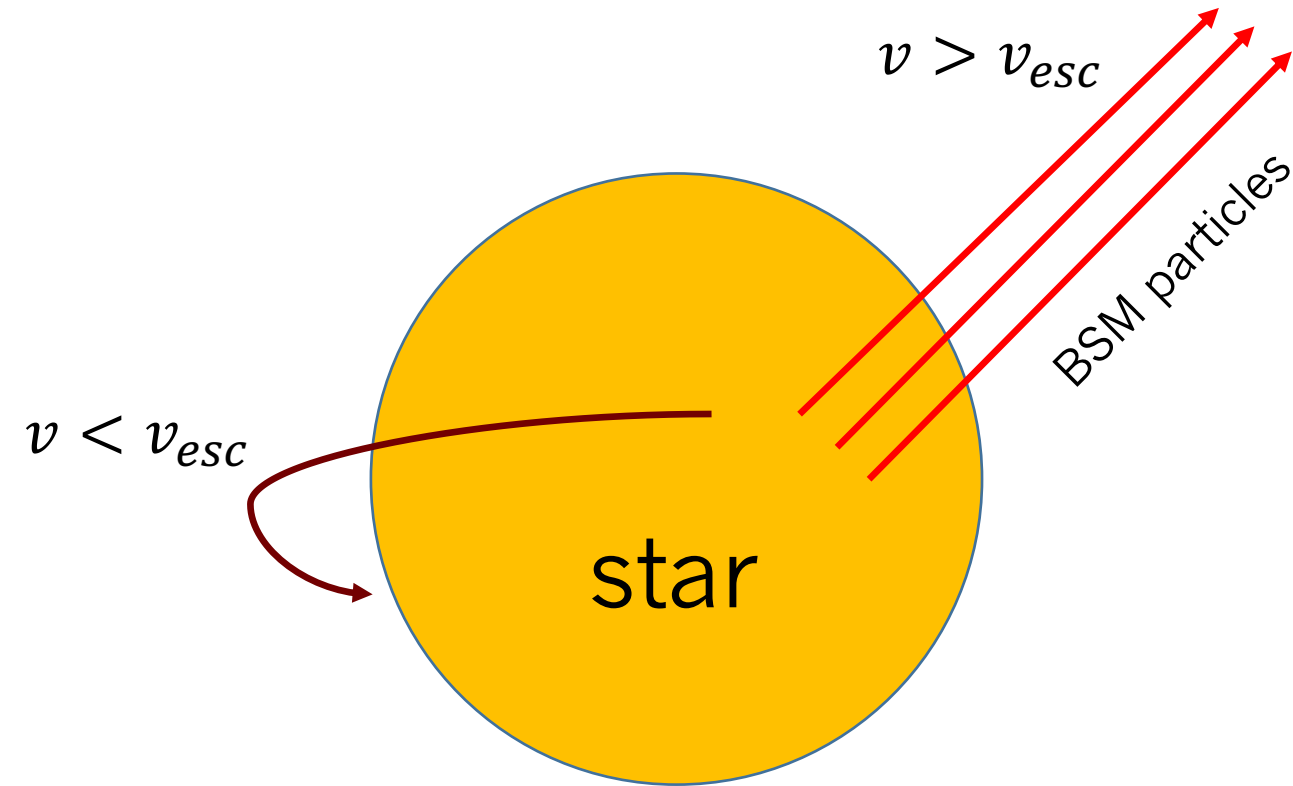
- **Part I:** Stellar basins are a generic phenomenon
- **Part II:** Existing observations of the Sun may shed new light on axions

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- **Part I:** Stellar basins are a generic phenomenon
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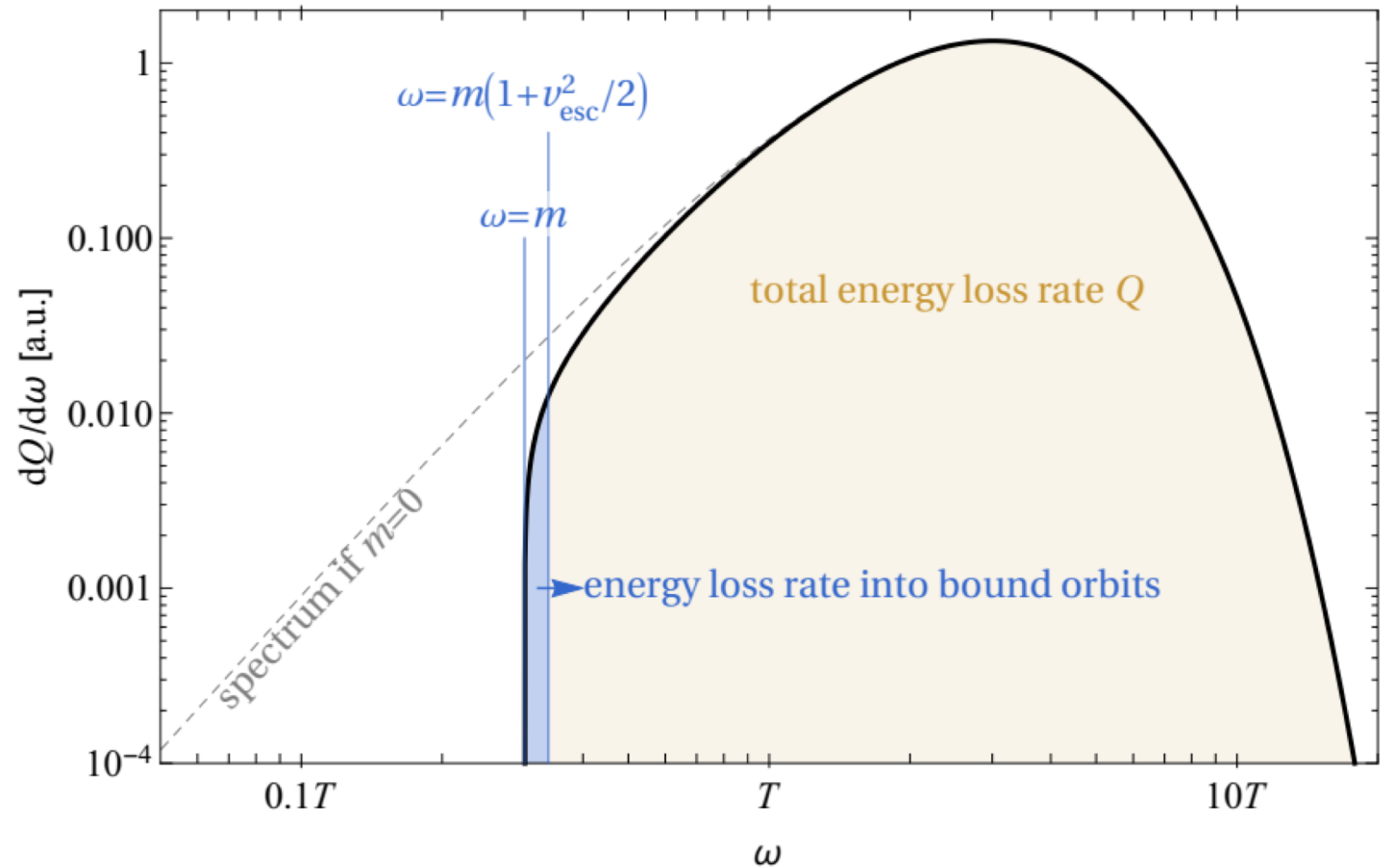
# Gravitational trapping

- Low-velocity particles cannot escape gravitational well



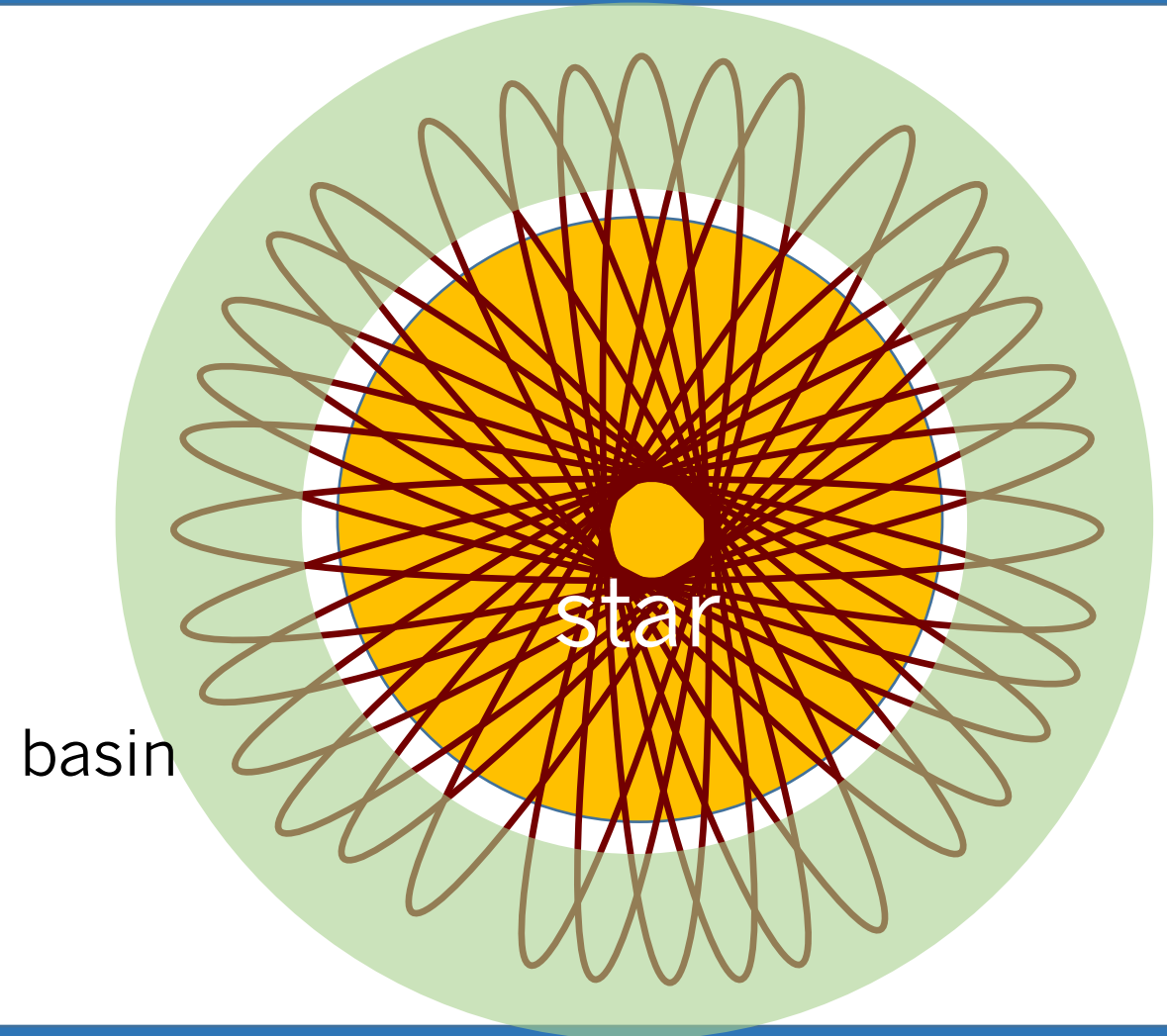
# Low-velocity tail

- Low-velocity particles cannot escape gravitational well
- Small fraction of spectrum



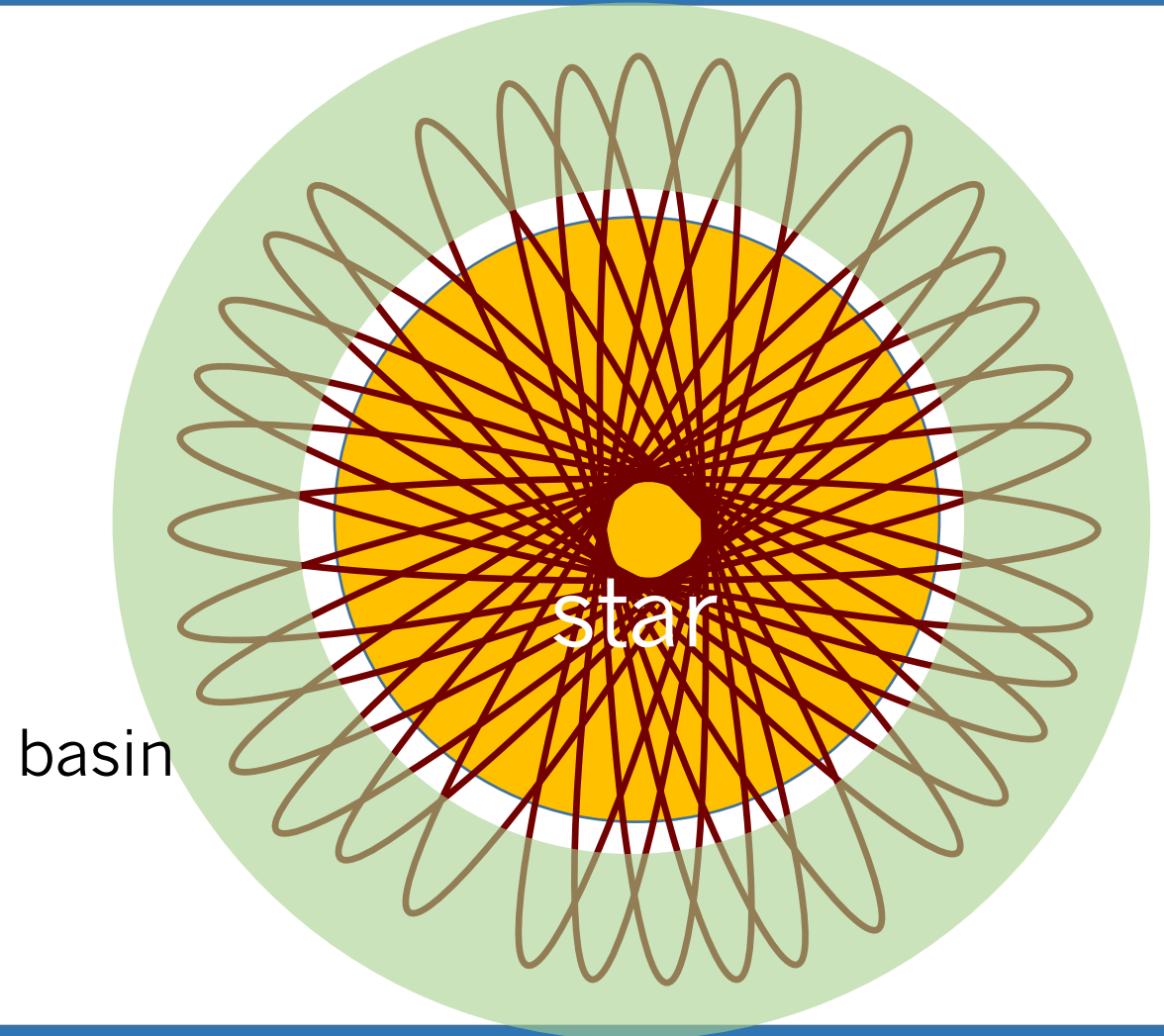
# Stellar basin

- Low-velocity particles cannot escape gravitational well
- Small fraction of spectrum
- Long accumulation time!  
 $\rho(r) \sim \dot{\rho}(r)\tau$
- Particles accumulate to form “**stellar basin**”



# Stellar basin

- Low-velocity particles cannot escape gravitational well
- Small fraction of spectrum
- Long accumulation time!  
$$\rho_b(r) \sim \dot{\rho}_b(r)\tau$$
$$\Rightarrow \rho_b(r) \gg \rho_{DM}$$
- High abundance leads to new signatures!



# Outline

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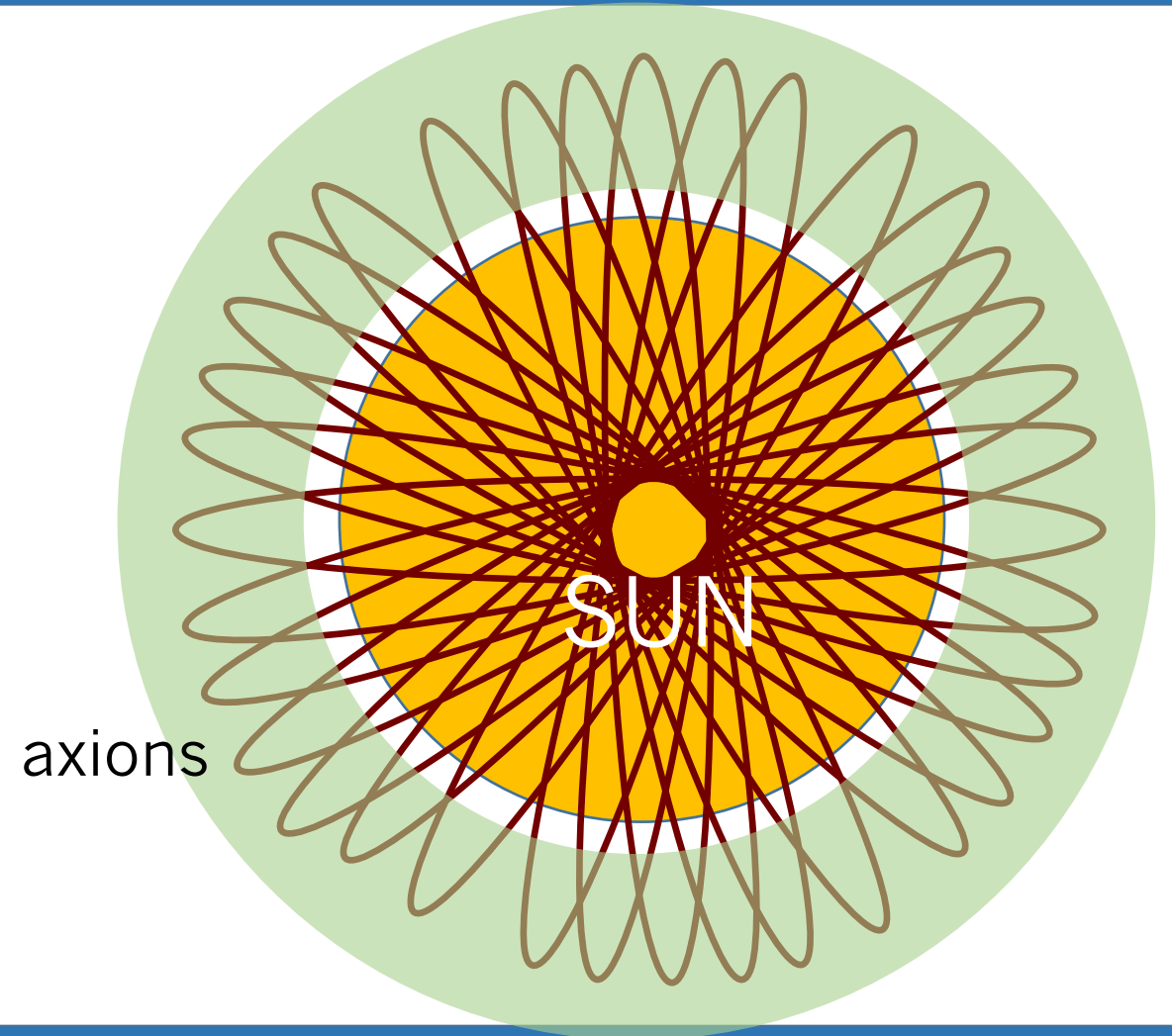
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# Solar basin

- Low-velocity particles cannot escape gravitational well
- Particles accumulate to form “**stellar basin**”
- What can we see in our very own solar basin?
  - **Axions!**

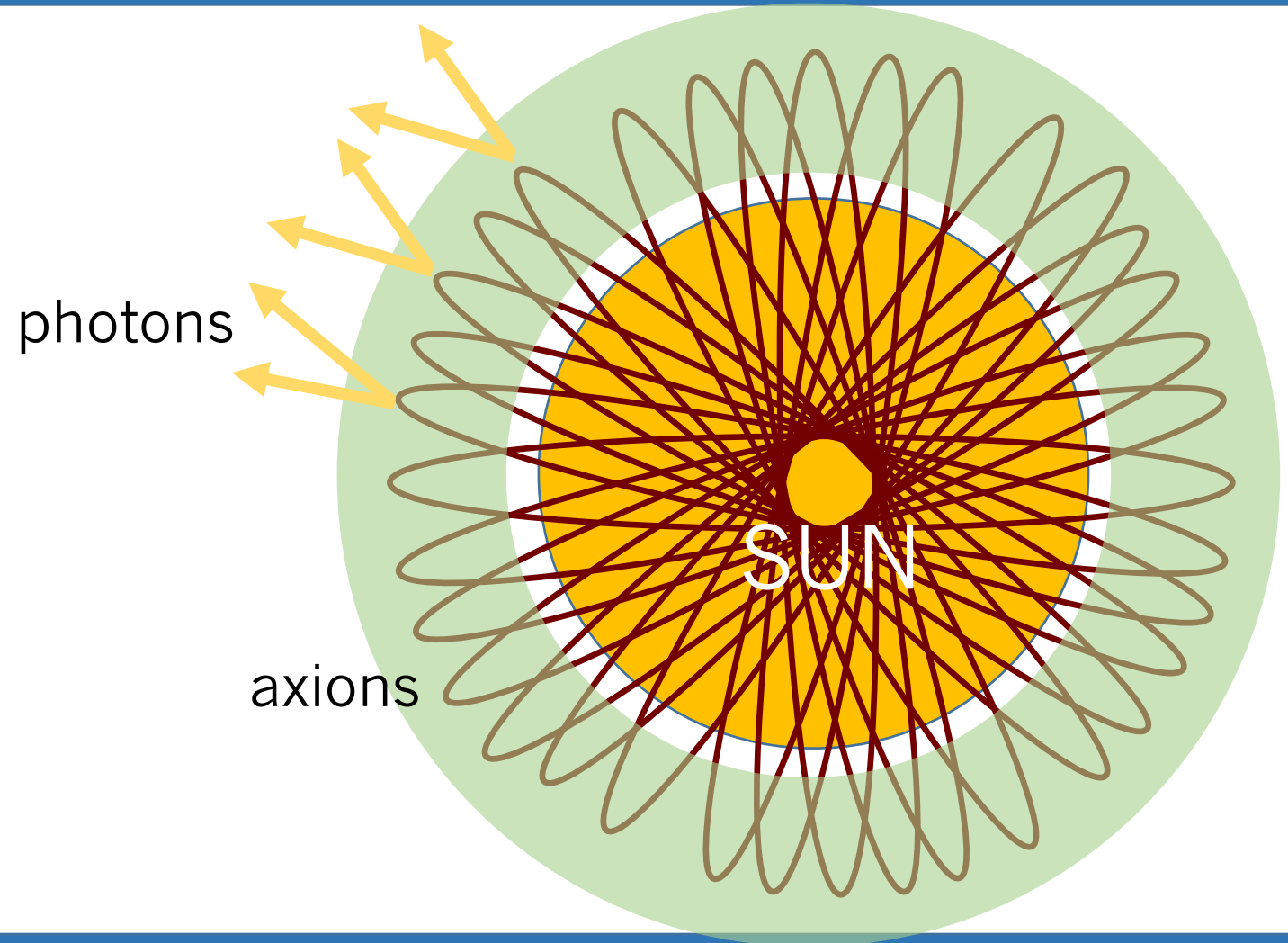


# Model

$$\mathcal{L} \subset \underbrace{-\frac{1}{2}m_a^2 a^2}_{\text{Mass near temperature of solar core}} + \underbrace{\frac{g_{aee}}{2m_e} (\partial_\mu a) \bar{\psi}_e \gamma^\mu \gamma^5 \psi_e}_{\text{Production by electrons in solar core}} - \underbrace{\frac{g_{a\gamma\gamma}}{4} a F_{\mu\nu} \tilde{F}^{\mu\nu}}_{\text{Decay to two photons/ Primakoff production}}$$

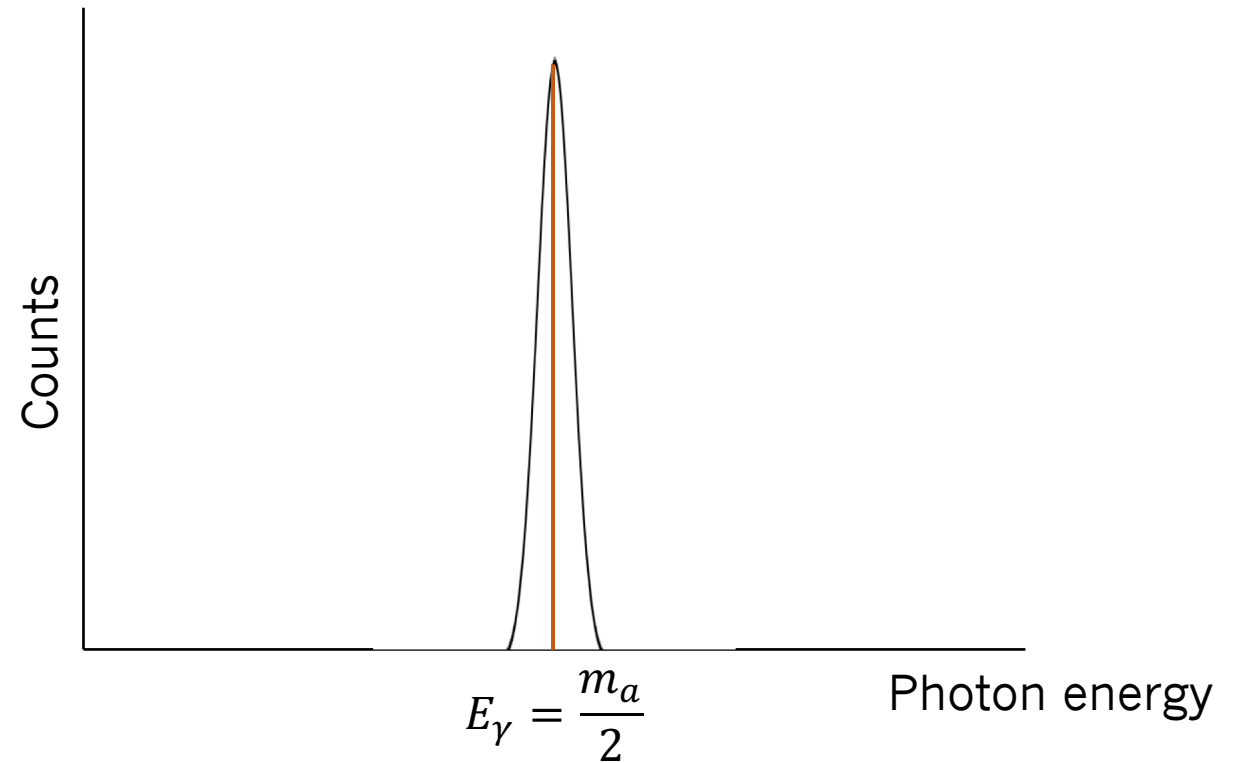
# Observable signatures

- Low-velocity particles cannot escape gravitational well
- Particles accumulate to form “**stellar basin**”
- Axions produced in solar core accumulate around the Sun for  $\tau \sim \frac{1}{\Gamma}$
- Decay to two photons is observable



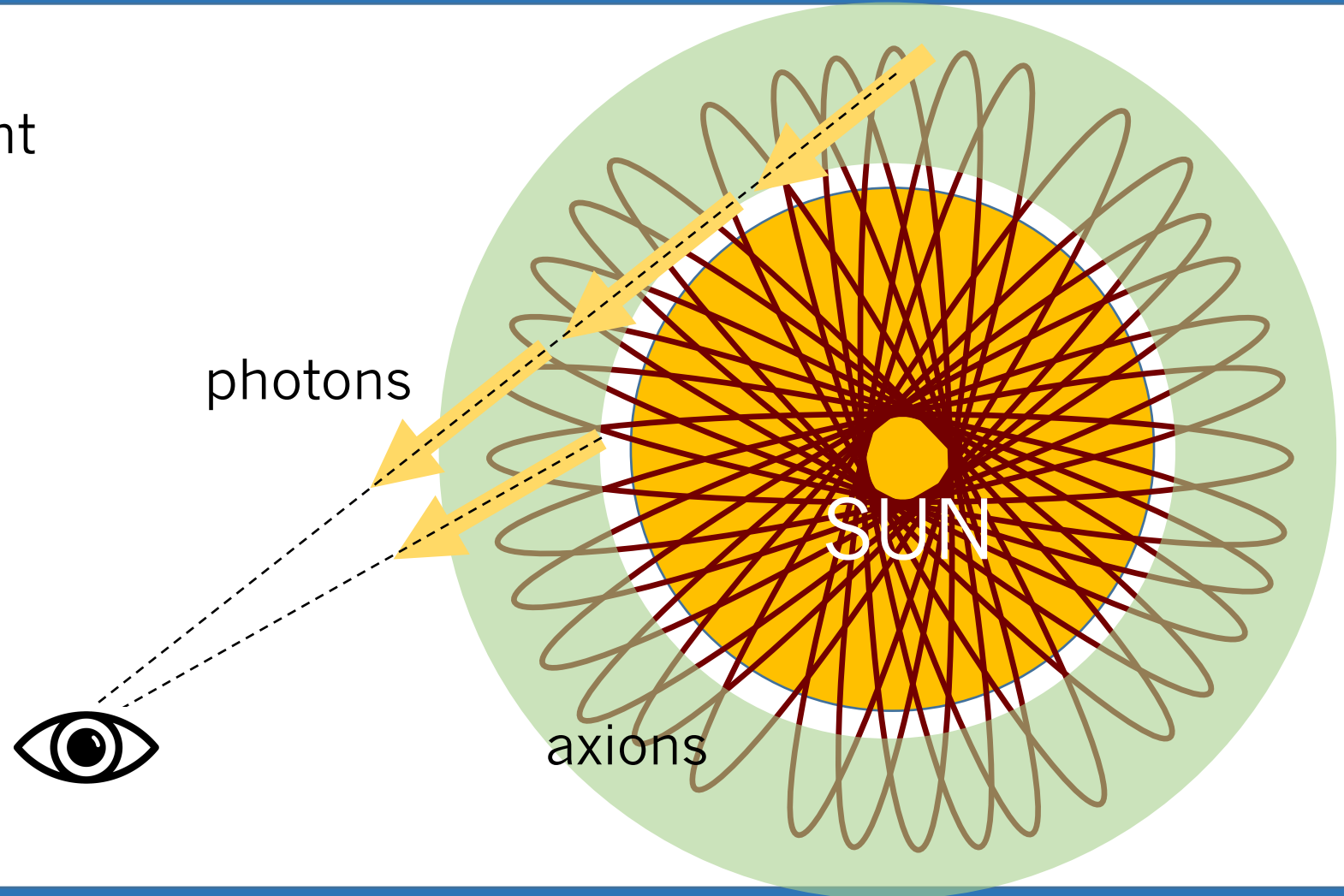
# Decay signatures: energy spectrum

- Signal maximized at  $m_a \approx T_{sun}(0)$
- Axions decay near rest
- **X-ray line at  $\sim$  keV energy**



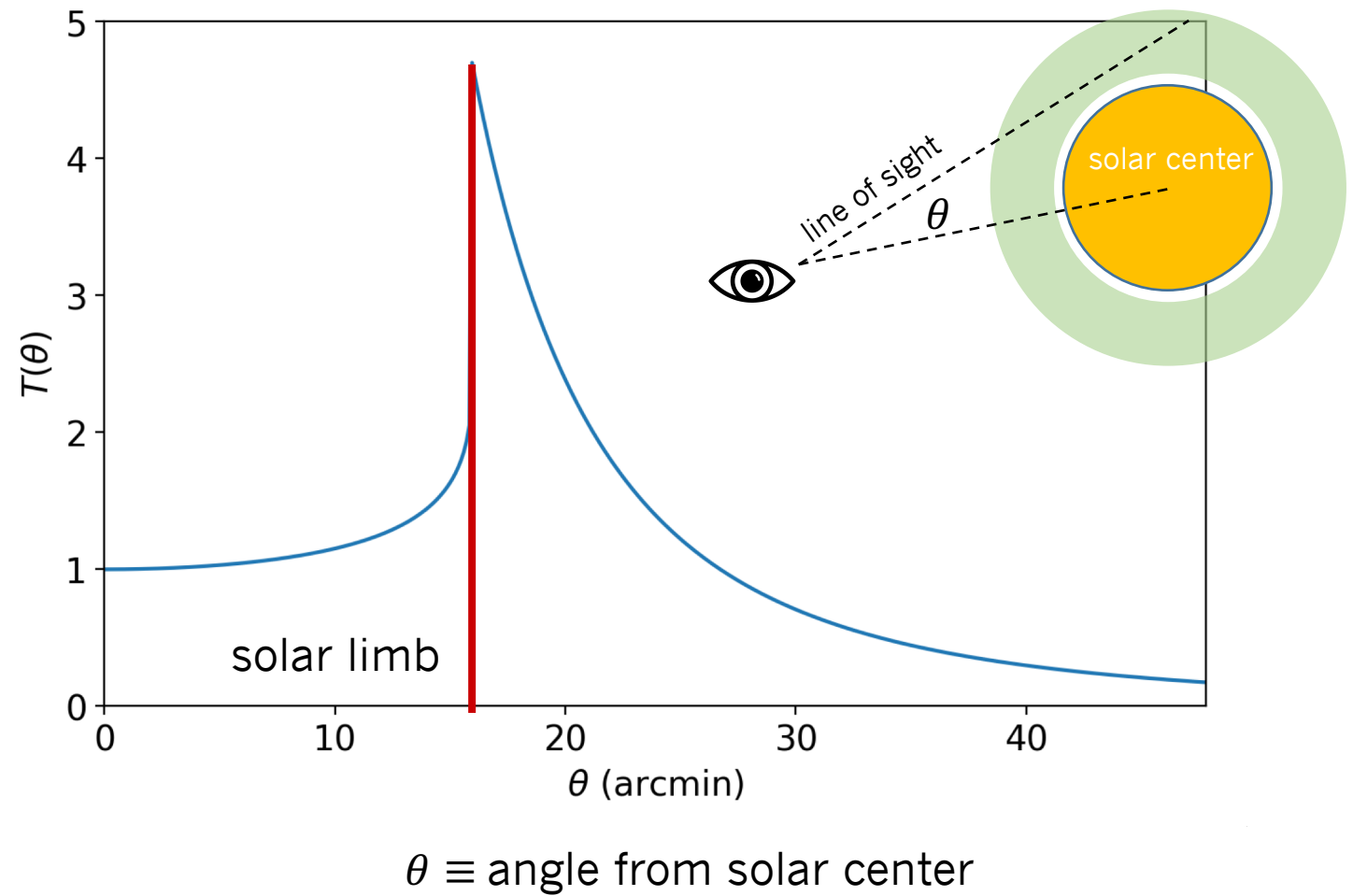
# Decay signatures: spatial template

- Integrated line of sight doubles at solar limb



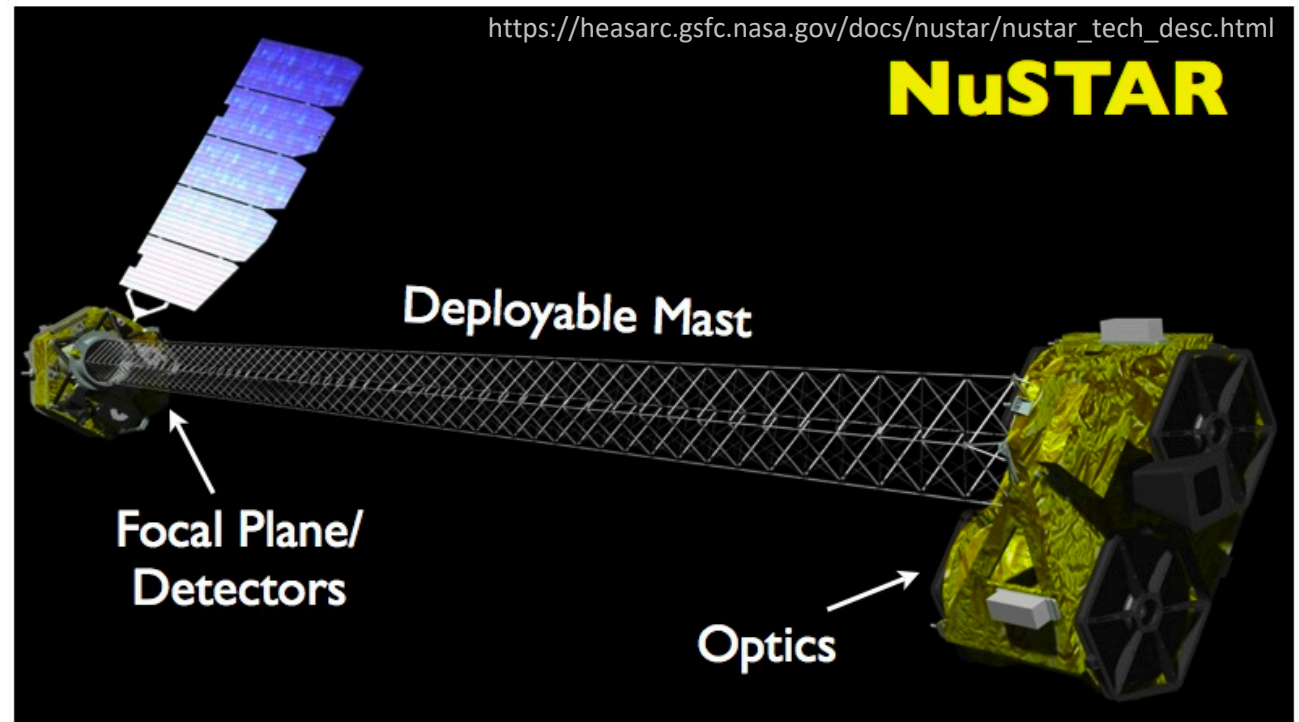
# Decay signatures: spatial template

- Integrated line of sight doubles at solar limb
- Signal falls off with  $T(\theta) \propto \int dl R^{-4} \propto \theta^{-3}$
- **Profile with  $\sim$  arcmin-scale features**



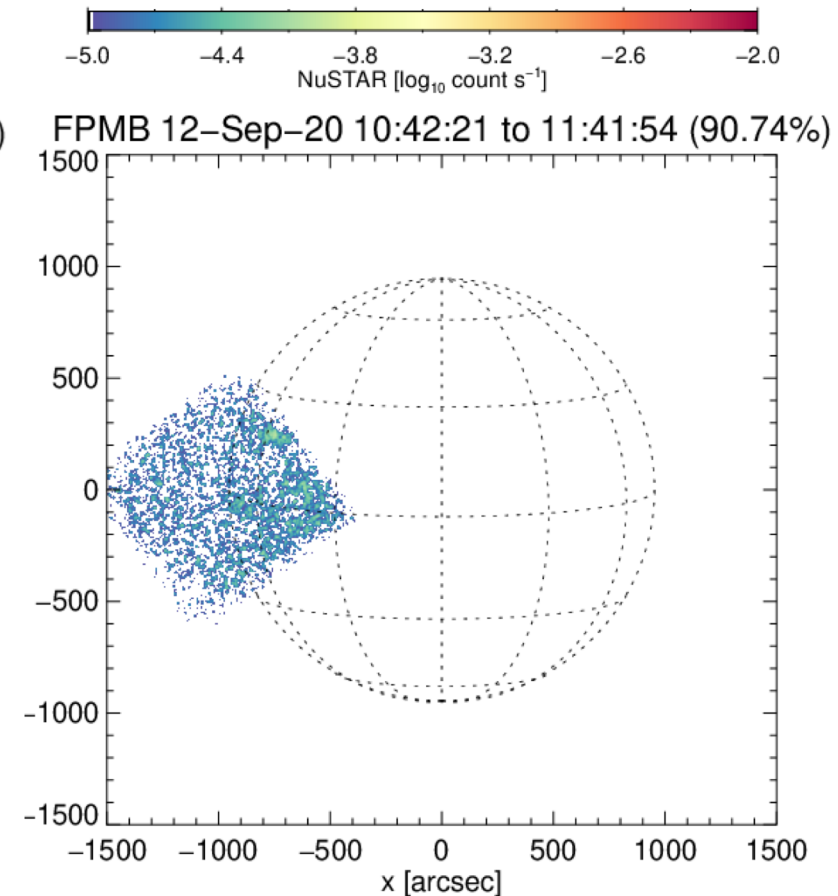
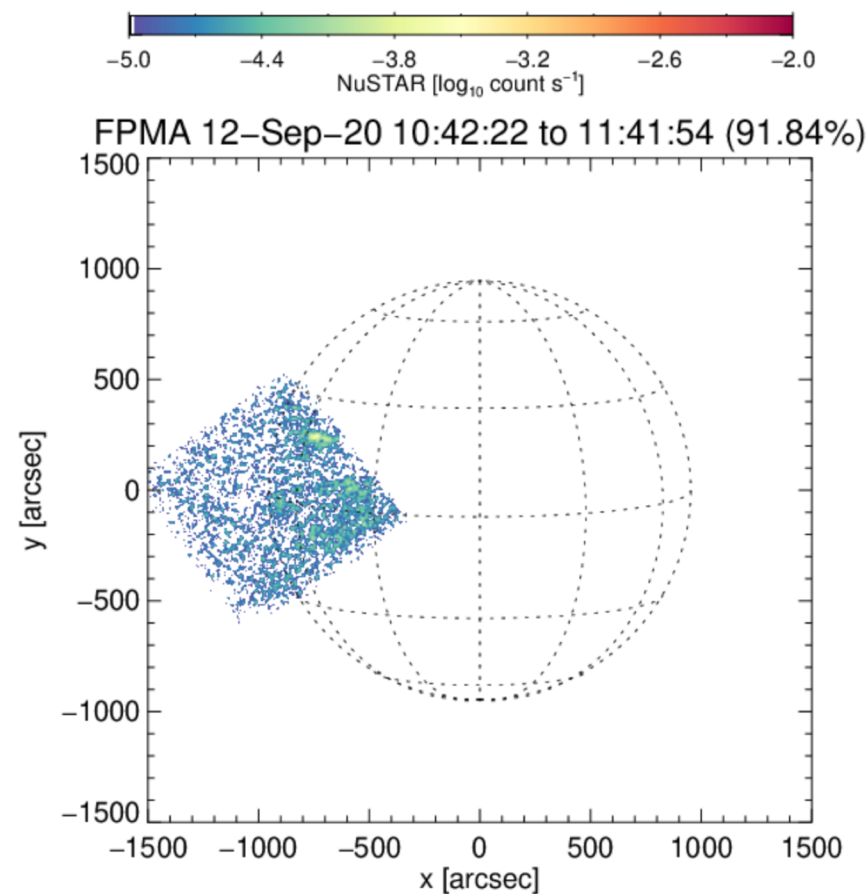
# NuSTAR

- Orbital X-ray telescope
- Two identical detectors (FPMA and FPMB)
- Energy range: 3 - 78 keV; 40 eV bins
- Angular resolution  $\sim 0.3$  arcmin



# New data

- Recent quiescent limb dwells (September 2020)
- Very clean dataset with discovery potential!

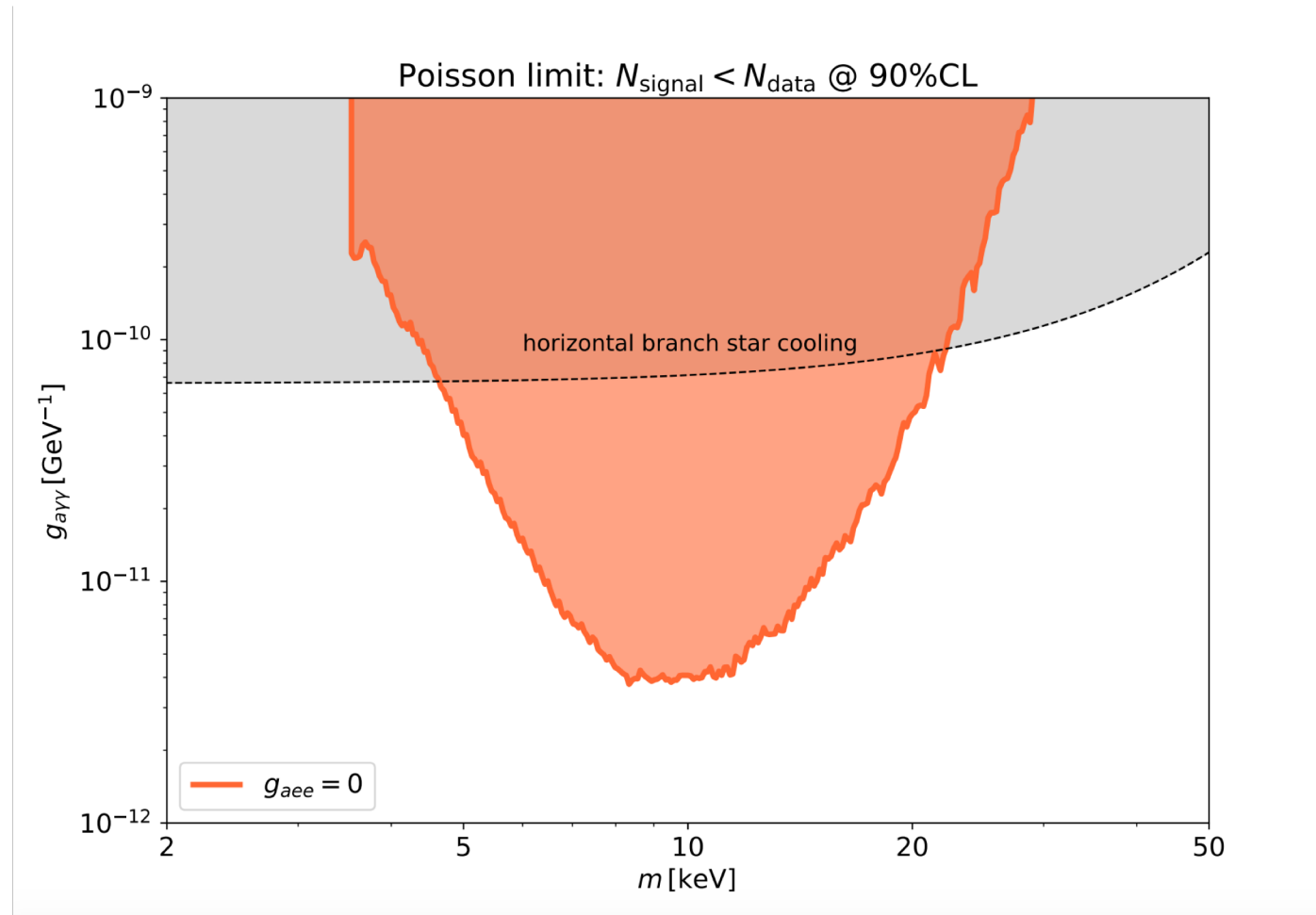


[https://github.com/ianan/nsigh\\_all/blob/master/maps/maps\\_20200912/maps\\_20200912\\_104222\\_nu80610202001\\_FPMA.png](https://github.com/ianan/nsigh_all/blob/master/maps/maps_20200912/maps_20200912_104222_nu80610202001_FPMA.png)



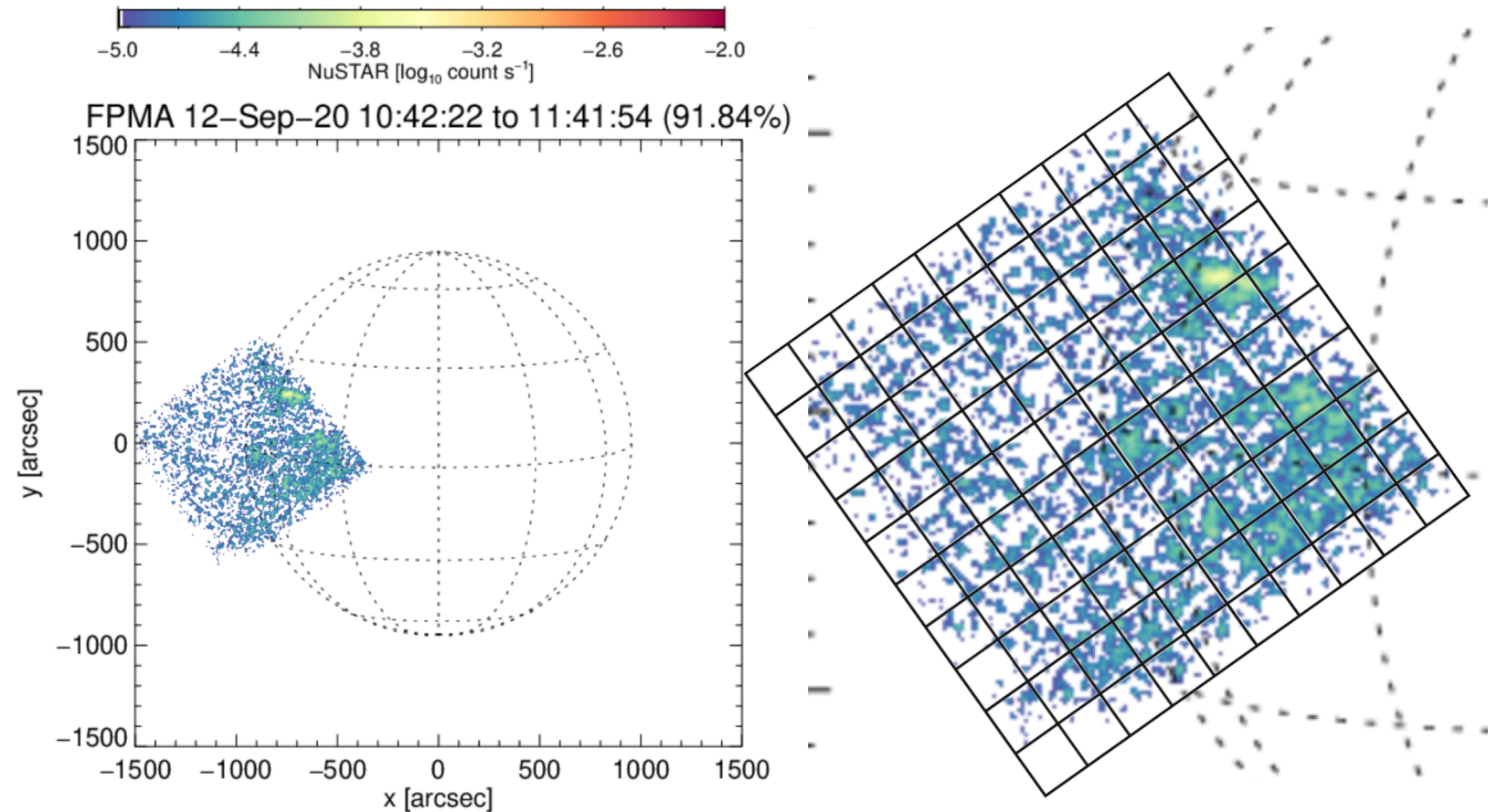
# Initial constraints

- Naive Poisson limit
- **Improves constraints by over an order of magnitude**
- But this can only improve...



# Future work

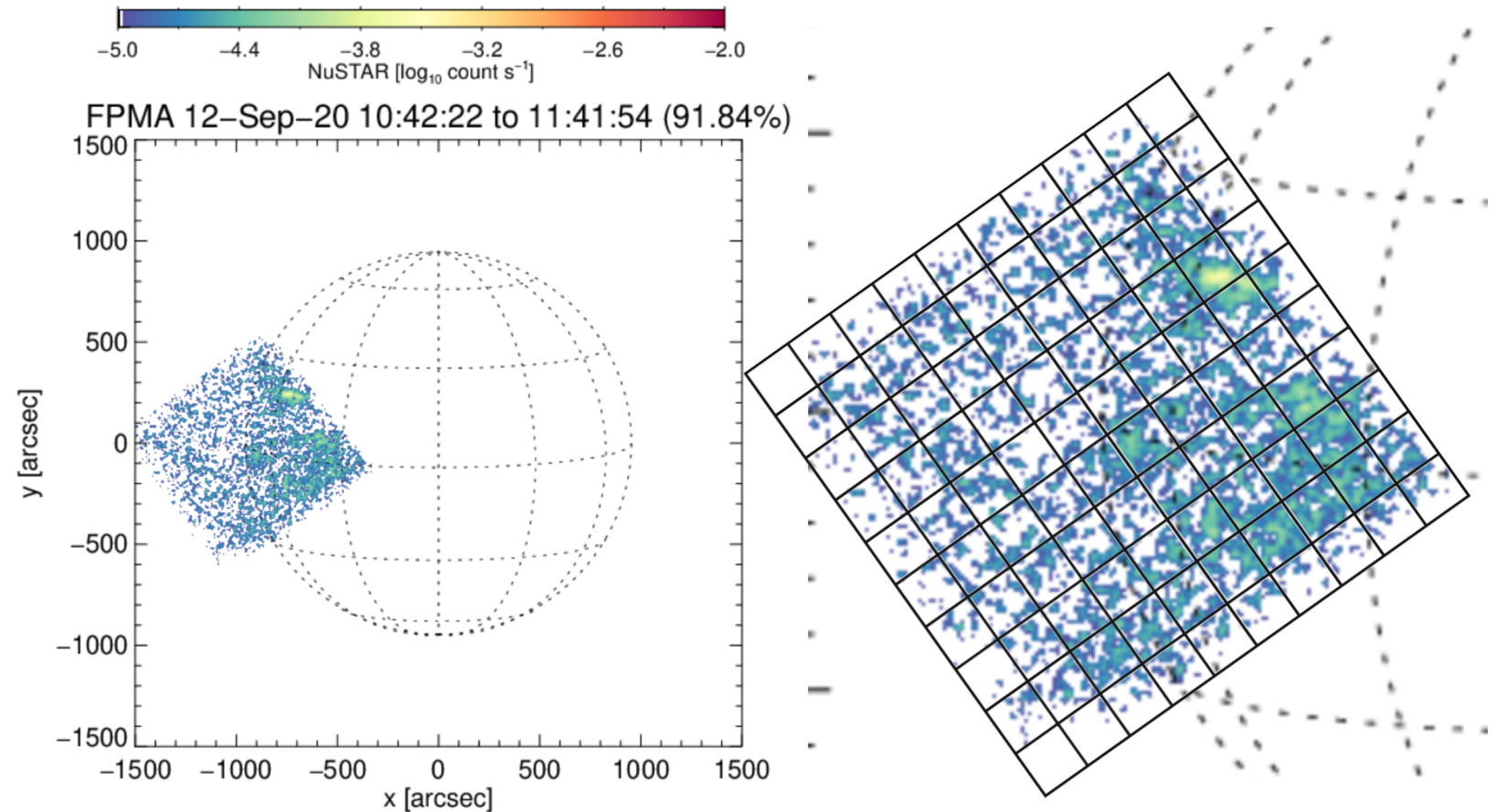
- Grid FOV into 13 x 13 arcmin<sup>2</sup> regions for both detectors
- Fit with spatial template
- Compute log-likelihood ratio for signal at particular mass



[https://github.com/ianan/nsigh\\_all/blob/master/maps/maps\\_20200912/maps\\_20200912\\_104222\\_nu80610202001\\_FPMA.png](https://github.com/ianan/nsigh_all/blob/master/maps/maps_20200912/maps_20200912_104222_nu80610202001_FPMA.png)

# Future work

- Grid FOV into 13 x 13 arcmin<sup>2</sup> regions for both detectors
- Fit with spatial template
- Compute log-likelihood ratio for signal at particular mass
- Stay tuned!



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# Takeaways

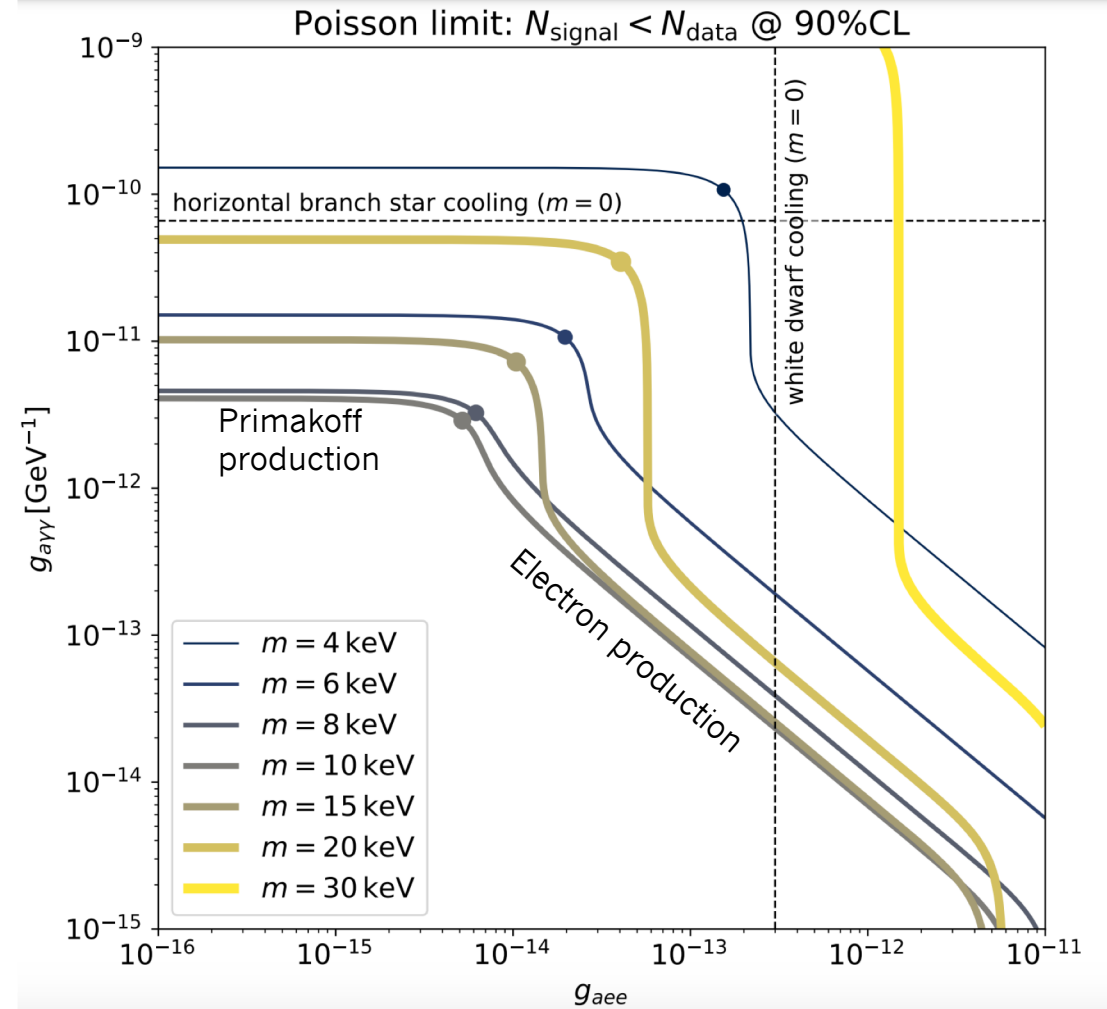
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**Thank you for listening!**

# BACKUP

# Full parameter space

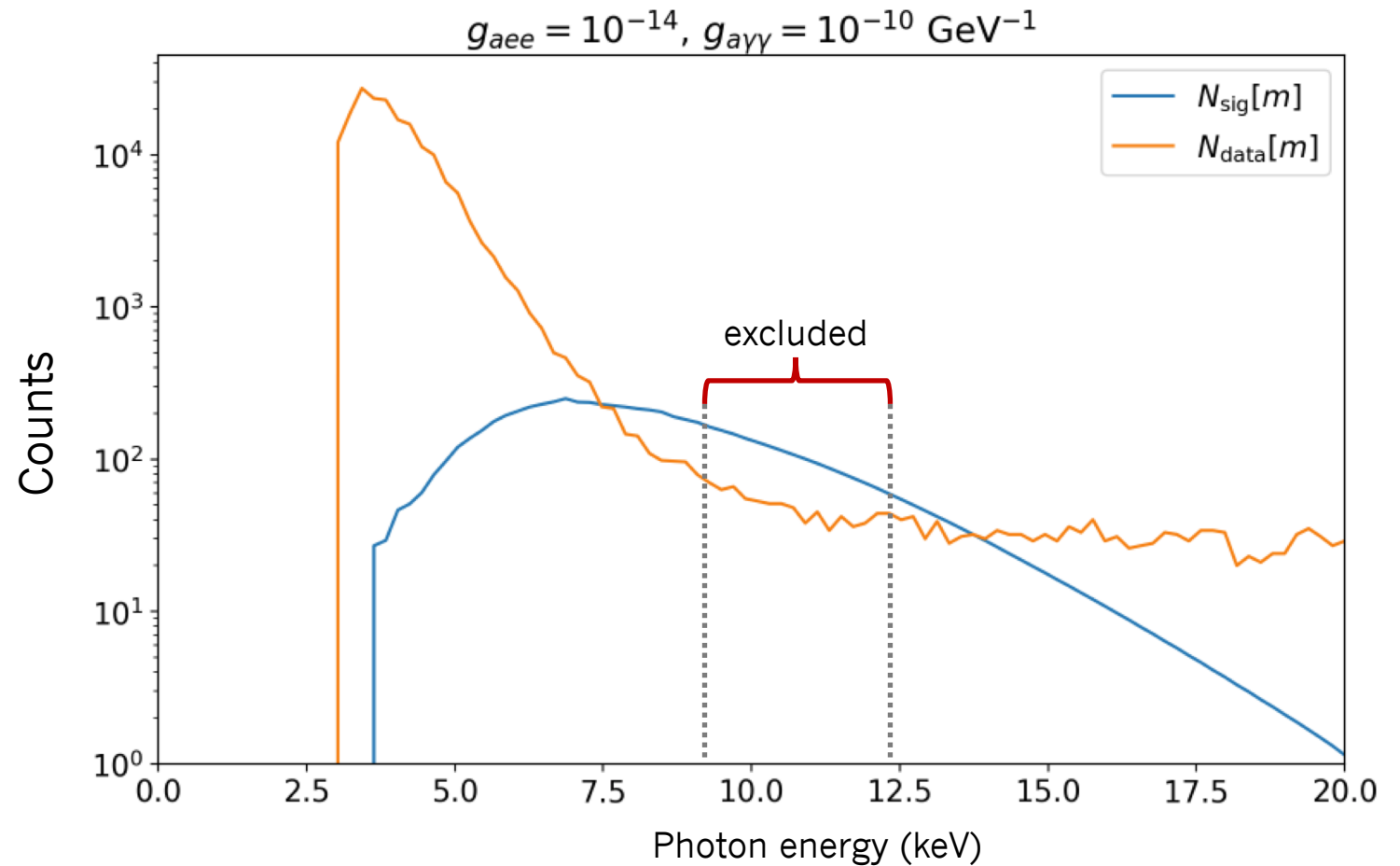
- Naive Poisson limit
- **Improves constraints by two orders of magnitude**





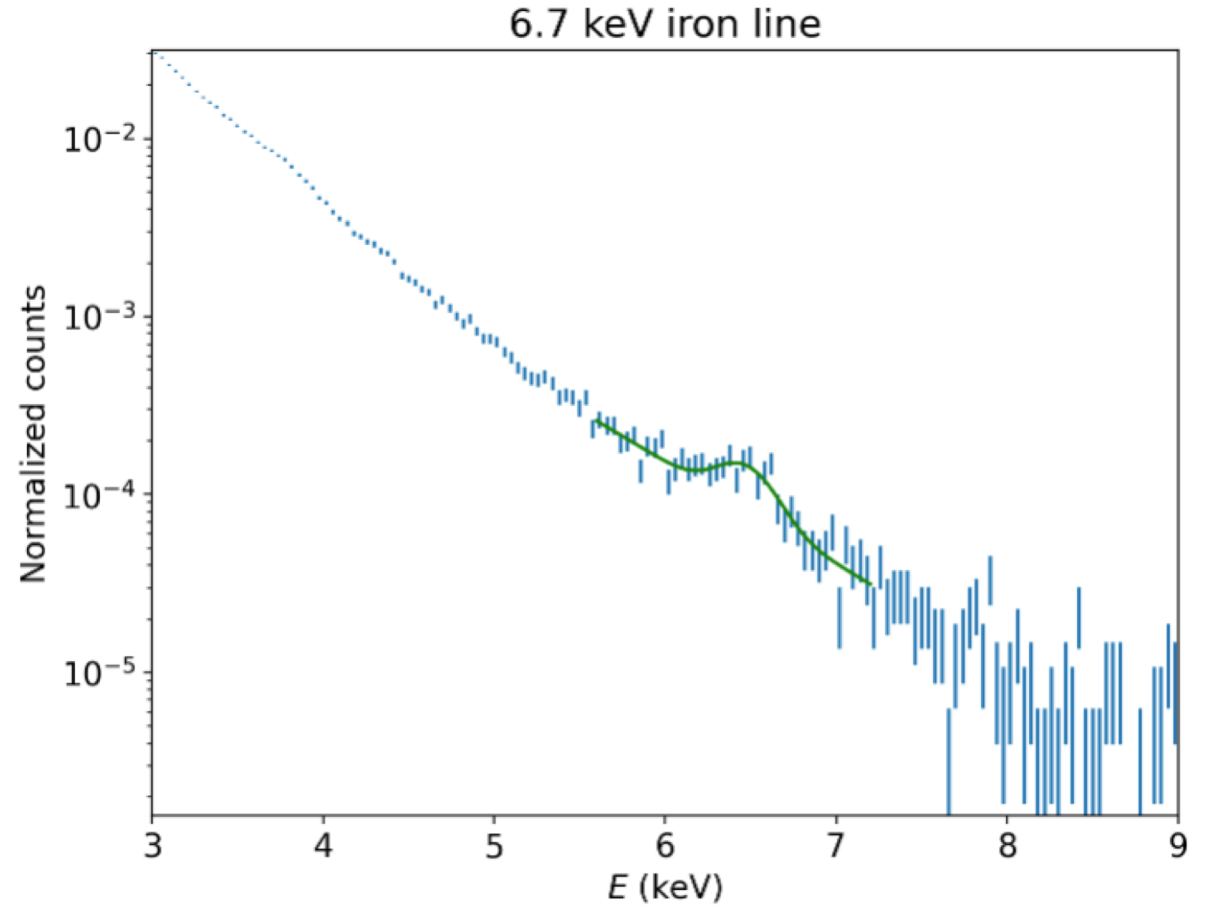
# Poisson Limit

- Expected signal in a bin exceeds observed counts by  $\sim 1.65\sigma = 1.65\sqrt{N_{data}}$  (90% CL)
- Crude initial estimate
- Cannot be used for discovery



# Resolution effects

- Known X-ray line broadened by detector effects



# Radial scaling

## 1 Injection rate radial scaling

Between any given radii  $R$  and  $R + \Delta R$ , the only particles contributing appreciably to the basin are produced in the Sun with  $\sqrt{\frac{2GM}{R+\Delta R}} < v < \sqrt{\frac{2GM}{R}}$  because these are the ones that turn around between  $R$  and  $R + \Delta R$ , hence spend the longest time there. In terms of energy, they have  $m(1 + \frac{GM}{R+\Delta R}) < \omega < m(1 + \frac{GM}{R})$ .

The luminosity of all particles (bound and unbound) is

$$L = \int_{\text{Sun}} dV \int_m^\infty d\omega \frac{dQ}{d\omega}$$

The fraction of the luminosity that will actually contribute to the basin between  $R$  and  $R + \Delta R$  is then just

$$L_{\text{bound}} = \int_{\text{Sun}} dV \int_{m(1+\frac{GM}{R+\Delta R})}^{m(1+\frac{GM}{R})} d\omega \frac{dQ}{d\omega}$$

We can evaluate the integral by assuming  $dQ/d\omega$  is approximately constant in this narrow window of energy and then just multiplying the integrand by the energy difference

$$L_{\text{bound}} \approx \int_{\text{Sun}} dV \left[ m(1 + \frac{GM}{R}) - m(1 + \frac{GM}{R + \Delta R}) \right] \frac{dN}{dV dt}$$

We can integrate over the Sun's volume and are left with

$$L_{\text{bound}} \approx \left[ \frac{GM}{R} - \frac{GM}{R + \Delta R} \right] \frac{m}{dt} \frac{dN}{dt}$$

where  $dN/dt$  is the total number of particles of all energies being produced by the Sun per unit time.

Expanding in small  $\Delta R$  gives

$$\begin{aligned} L_{\text{bound}} &\approx \left[ \frac{GM}{R} - \frac{GM}{R} \left(1 + \frac{\Delta R}{R}\right)^{-1} \right] \frac{m}{dt} \frac{dN}{dt} \\ &\approx \left[ \frac{GM}{R} - \frac{GM}{R} \left(1 - \frac{\Delta R}{R}\right) \right] \frac{m}{dt} \frac{dN}{dt} \\ &\approx \left[ \frac{GM\Delta R}{R^2} \right] \frac{m}{dt} \frac{dN}{dt} \end{aligned} \tag{1}$$

The flux of relevant bound particles through  $R$  is  $F_{\text{bound}} = L_{\text{bound}}/(4\pi R^2)$ , so the energy injection rate is

$$\dot{\rho}_b = \lim_{\Delta R \rightarrow 0} \frac{\Delta F}{\Delta R} \approx \frac{m}{4\pi R^2} \left[ \frac{GM}{R^2} \right] \frac{dN}{dt} \propto \frac{1}{R^4}$$

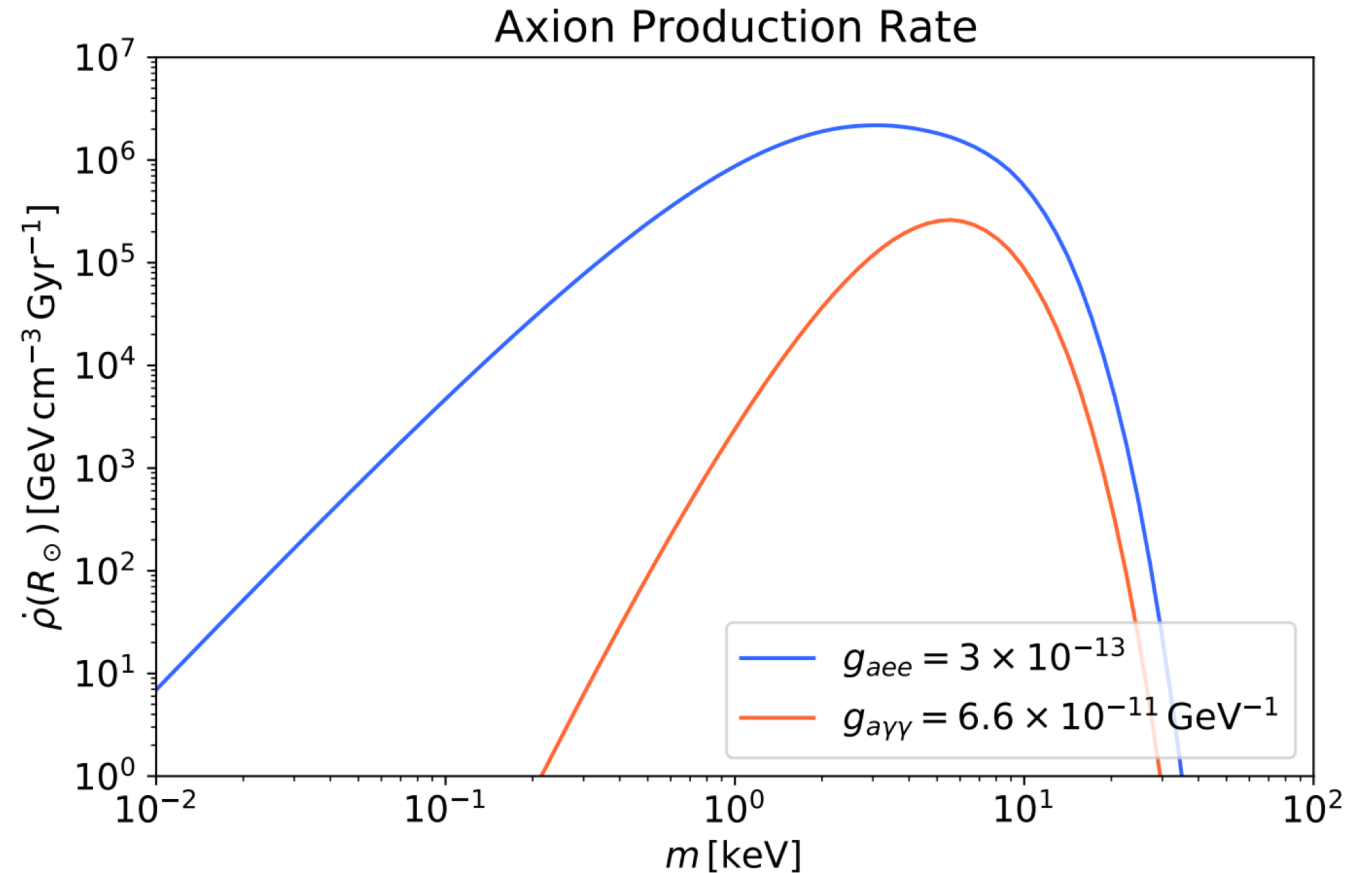
as expected.

# Stellar basin

- Long accumulation time!

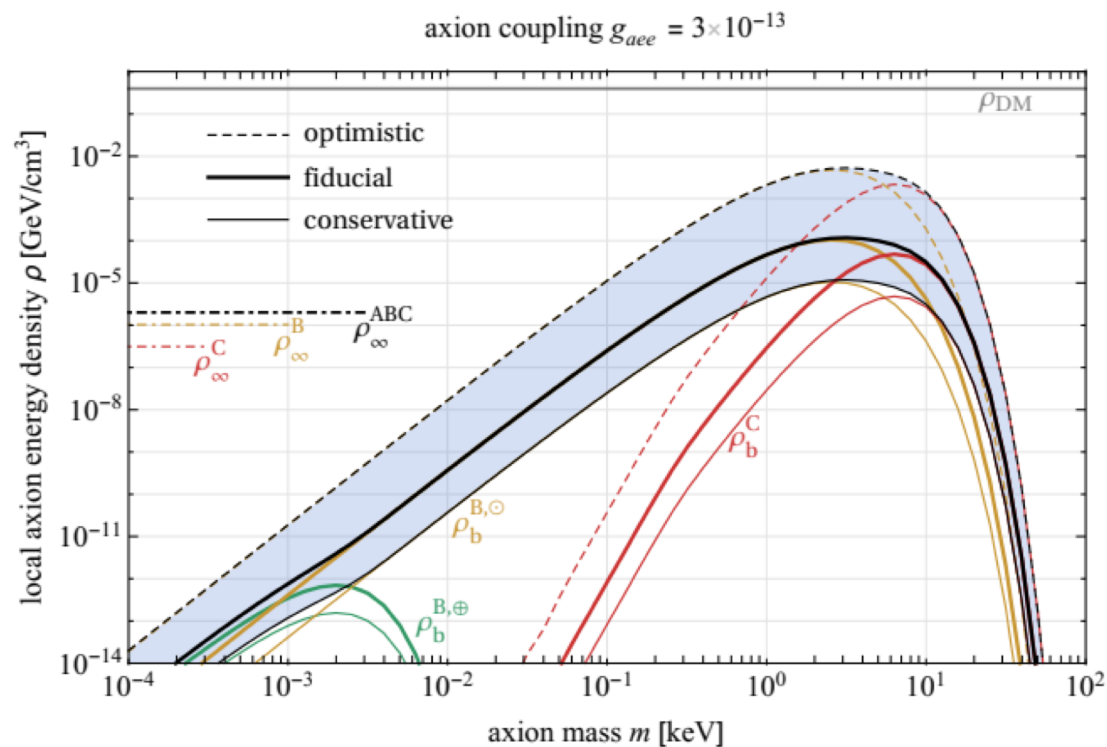
$$\rho_b(r) \sim \dot{\rho}_b(r)\tau$$
$$\Rightarrow \rho_b(r) \gg \rho_{DM}$$

- Even for kyr accumulation times, this region in parameter space exceeds  $\rho_{DM}$



# Production rate

- Falloff at low mass due to phase space of NR brem



$\tilde{\omega}_k \equiv (\omega - m)/m \simeq \mathbf{k}^2/2m^2$ , one finds in general that

$$\frac{dQ}{d\tilde{\omega}_k} \simeq \sum_p \tilde{Q}_p(R') \tilde{\omega}_k^{n_p/2} + \dots$$

$$\dot{\rho}_b(R) = \frac{7}{32\pi} \frac{G_N M_*}{R^4} \int d^3 R' \sum_p \tilde{Q}_p(R') |\Phi(R')|^{\frac{n_p}{2}}.$$

$$\tilde{Q}_B^{ND} \simeq \frac{\alpha^2 g_{aee}^2}{2\pi^{3/2}} \frac{\bar{n}_N n_e m^3}{m_e^{7/2} T^{1/2}} \int_0^1 d\epsilon \frac{\ln \frac{2+2\sqrt{1-\epsilon}-\epsilon+\xi}{\epsilon+\xi}}{\exp\{\frac{m}{\epsilon T}\}}.$$

The screening measure  $\xi$  is quite small in practice.