

# Optimizing Boosted Dark Matter Searches at Large-Mass Neutrino and Dark Matter Detectors



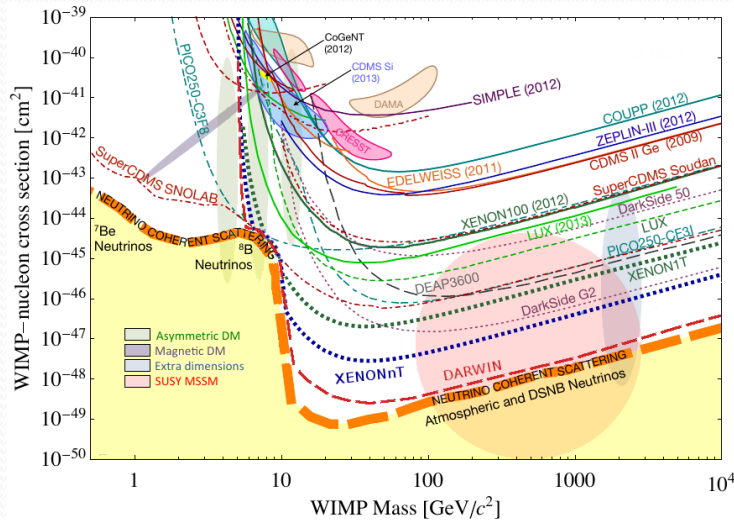
Doojin Kim

NuTheories Workshop by PITT PACC, November 6<sup>th</sup>, 2018

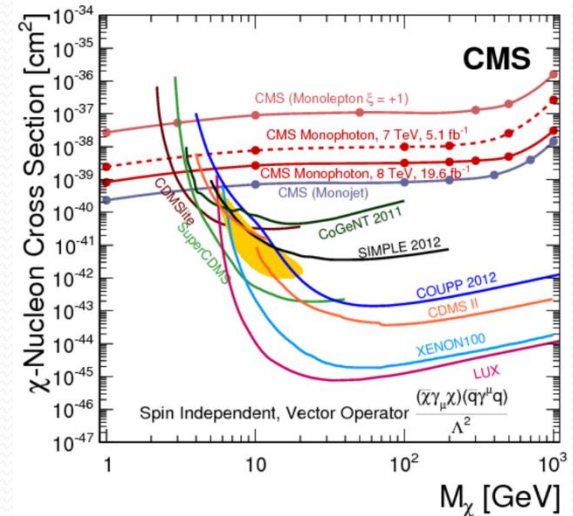
In collaboration with Pedro Machado, Jong-Chul Park and Seodong Shin, in progress

# Nonrelativistic Dark Matter Searches

- ❑ **No observation** of DM signatures via non-gravitational interactions while many searches/interpretations designed/performed under nonrelativistic WIMP/WIMP-like scenarios  $\Rightarrow$  merely excluding more parameter space in dark matter models



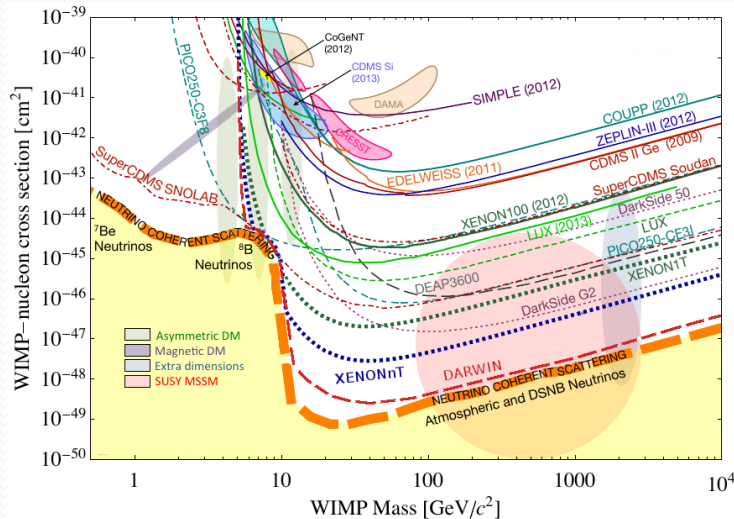
[Cushman, Calbiati, McKinsey (2013); Baudis (2014)]



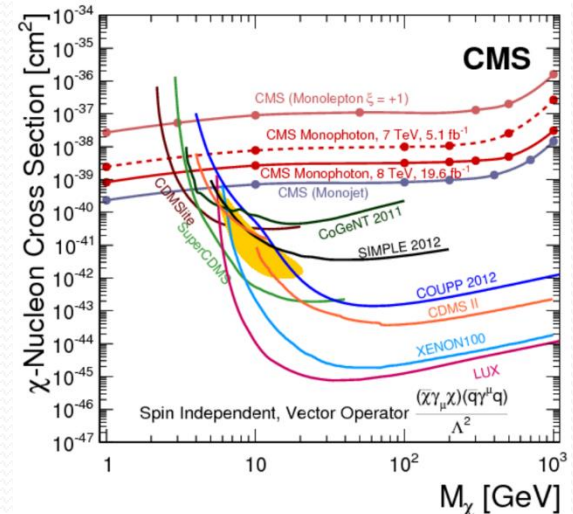
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[Cushman, Calbiati, McKinsey (2013); Baudis (2014)]



[CMS mono-photon search (2014)]

*Time to change our approach?*

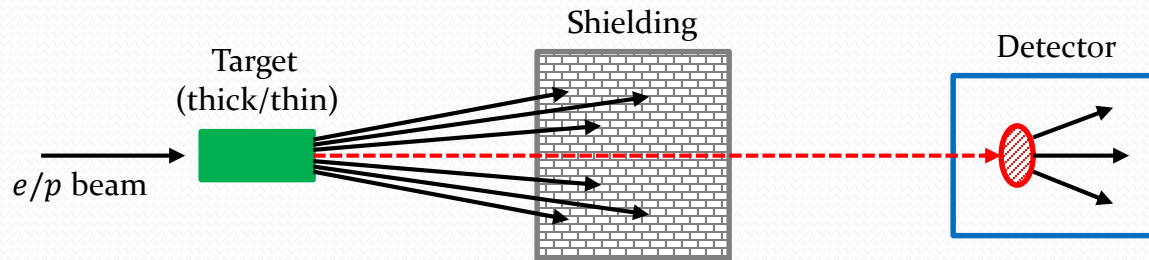
$\Rightarrow$  *Relativistically produced invisible particle (DM) search!* (see Josh's talk)

# Boosted/Relativistic Dark Matter: Intensity Frontier

- ❑ Signals coming from particle accelerators, additional model building not always necessary
- ❑ If dark sectors (containing dark matter) are more “weakly” connected to the SM sector, high intensity experiments are motivated, e.g., fixed target experiments.
  - ✓ BDX, NA64, MicroBooNE, SeaQuest, LDMX, T2HKK, DUNE, SHiP, and many more

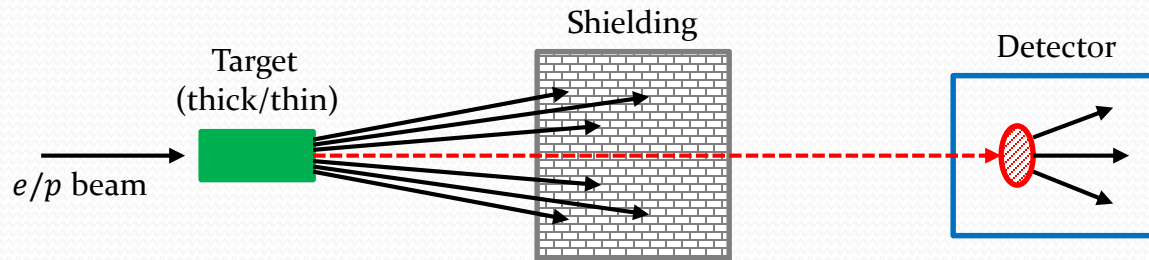
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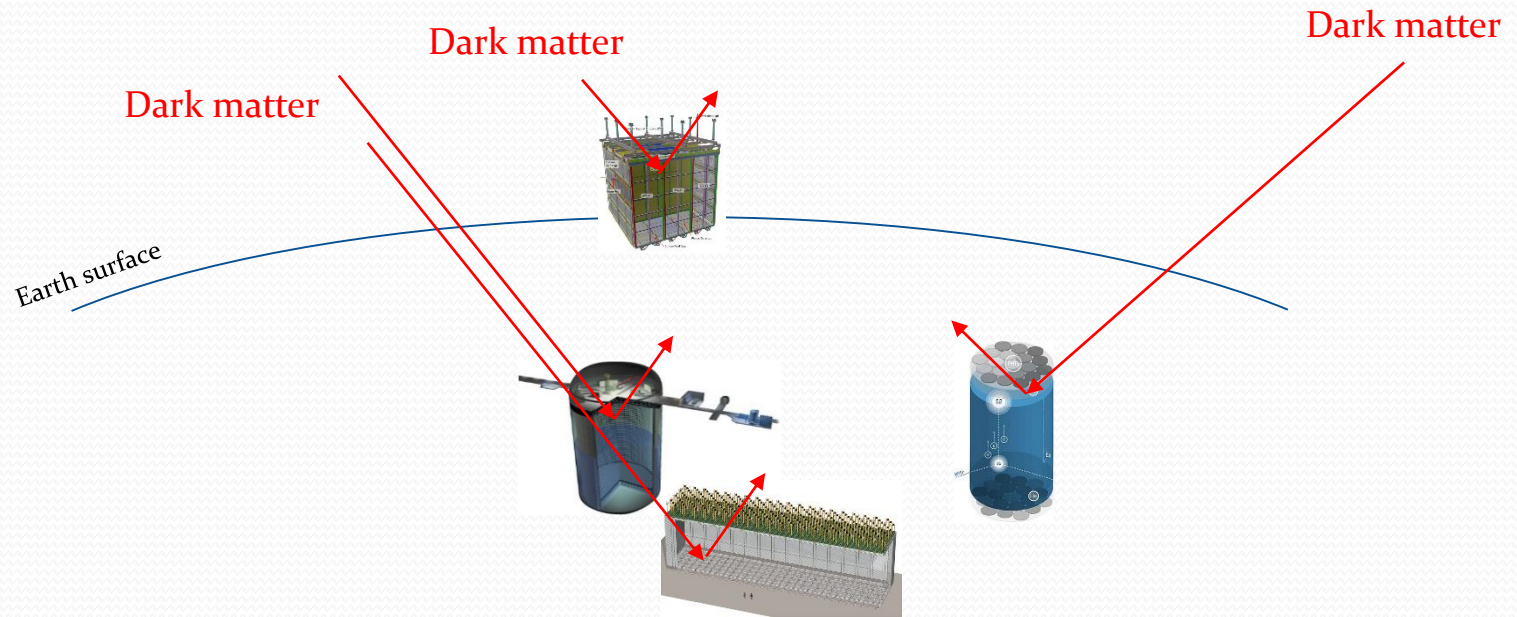
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- ❑ Quite a few phenomenological studies/proposals in the context of dark photon decays, elastic/inelastic scattering of DM, etc. [LoSecco et al. (1980); Bjorken, Essig, Schuster, Toro (2009); Batell, Pospelov, Ritz (2009); deNiverville, Pospelov, Ritz (2011); Izaguirre, Krnjaic, Schuster, Toro (2014); Izaguirre, Kahn, Krnjaic, Moschella (2017); Berlin, Gori, Schuster, Toro (2018); Bonivento, DK, Park, Shin in progress, and many more]

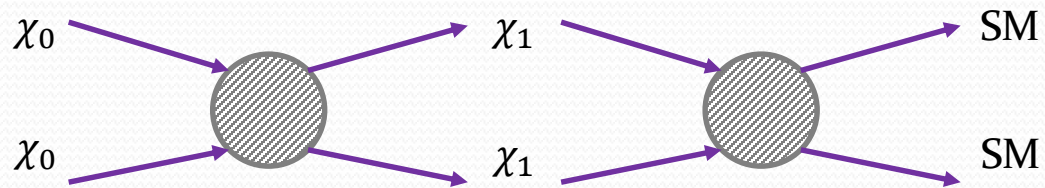
# Boosted/Relativistic Dark Matter: Cosmic Frontier



- ❑ Simply waiting for signals coming from the universe today
- ❑ (Often) doing nontrivial model building to create boosted dark matter (an example mechanism in the next slide)
- ❑ (Typically) probing cosmological dark matter (nonrelativistic) through its boosted “partners”

# Two-component Boosted DM Scenario

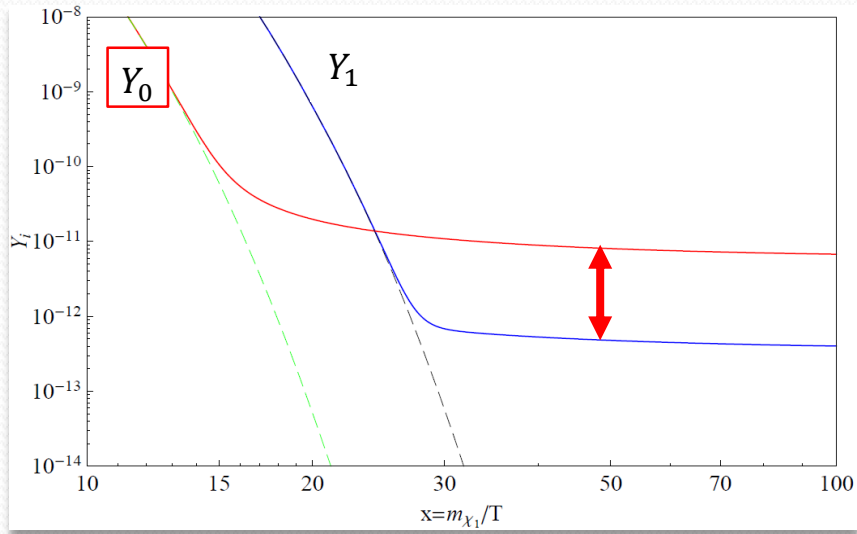
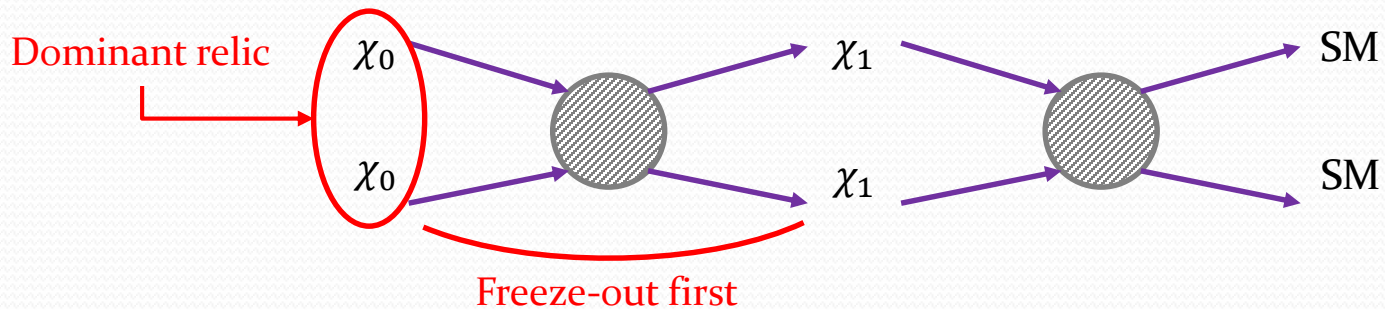
- A possible relativistic source: BDM scenario, stability of the two DM species ensured by *separate symmetries*, e.g.,  $Z_2 \otimes Z_2'$ ,  $U(1) \otimes U(1)'$ , etc.





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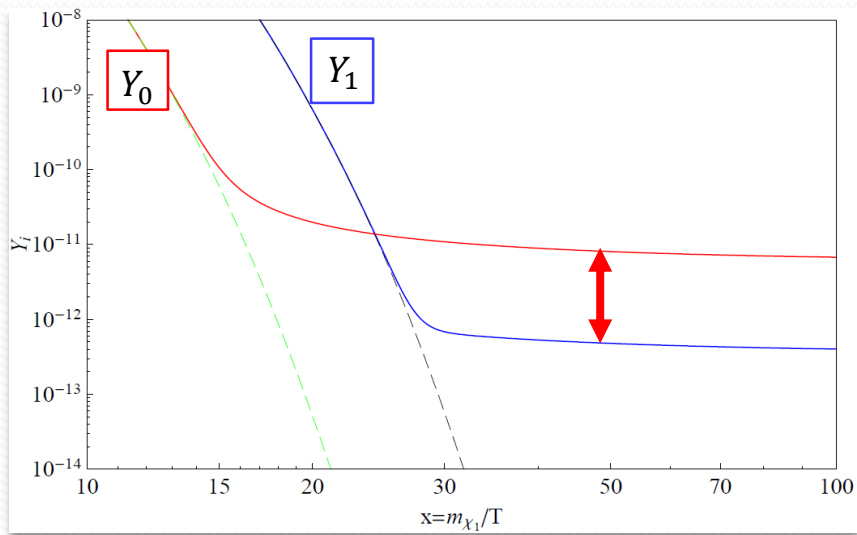
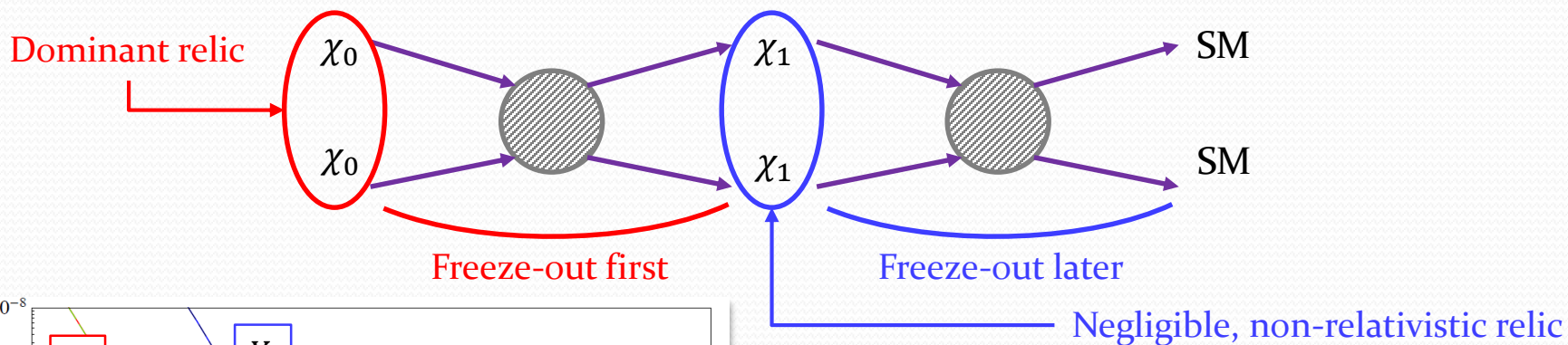


“Assisted” freeze-out mechanism

[Belanger, Park (2011)]

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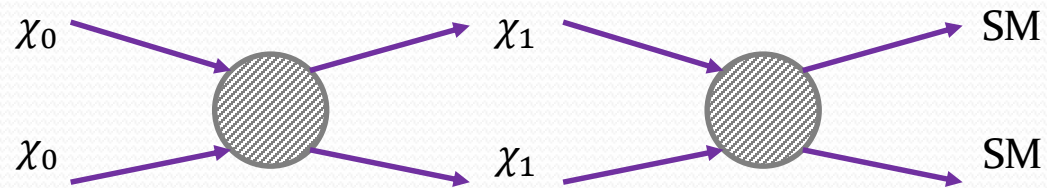
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“Assisted” freeze-out mechanism

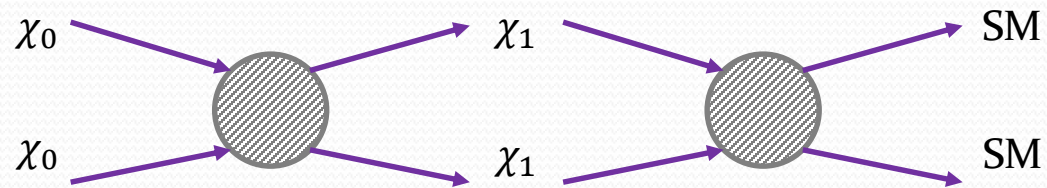
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# “Relativistic” Dark Matter Search

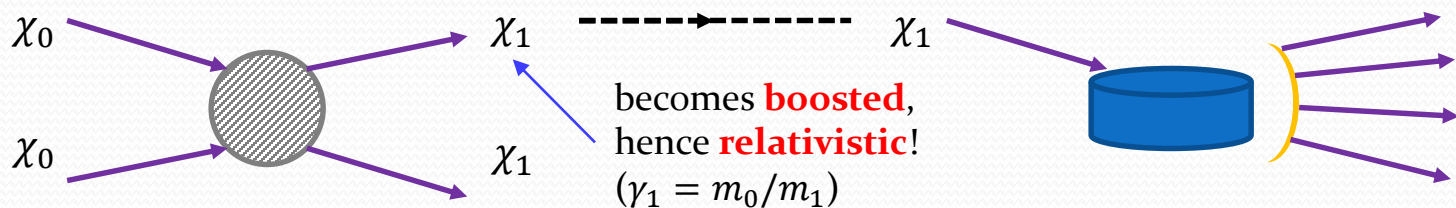


- ✓ Heavier relic  $\chi_0$ : hard to detect it due to tiny/negligible coupling to SM
- ✓ Lighter relic  $\chi_1$ : hard to detect it due to small amount

# “Relativistic” Dark Matter Search



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- ✓ Lighter relic  $\chi_1$ : hard to detect it due to small amount



(Galactic Center at the universe **today**)

(Laboratory)

[Agashe, Cui, Necib, Thaler (2014)]

# Other Mechanisms

- ❑ Boosted dark matter from decaying dark matter [Bhattacharya, Gandhi, Gupta (2014); Kopp, Liu, Wang (2015); DK, Park, Park, Shin, in progress]
- ❑ Semi-annihilation in e.g.,  $Z_3$  models [D'Eramo, Thaler (2010)]
- ❑ Fast-moving DM via induced nucleon decays [Huang, Zhao (2013)]
- ❑ Energetic cosmic-ray-induced (semi-)relativistic dark matter scenarios [Yin (2018); Bringmann, Pospelov (2018); Ema, Sala, Sato (2018)]

# Flux of Boosted Dark Matter

- Flux of boosted  $\gamma$  near the earth

$$\mathcal{F}_\gamma \propto (\text{interaction strength}) \times (\chi_0 \text{ number})^2$$
$$\sim 0.8 \times 10^{-7} \text{cm}^{-2} \text{s}^{-1} \left( \frac{\langle \sigma v \rangle_{\chi_0 \chi_0 \rightarrow \gamma \gamma}}{10^{-26} \text{cm}^3 \text{s}^{-1}} \right) \left( \frac{20 \text{ GeV}}{m_0} \right)^2$$

# Flux of Boosted Dark Matter

- Flux of boosted  $\chi_1$  near the earth

$$\mathcal{F}_{\chi_1} \propto (\text{interaction strength}) \times (\chi_0 \text{ number})^2$$
$$\sim 0.8 \times 10^{-7} \text{cm}^{-2} \text{s}^{-1} \left( \frac{\langle \sigma v \rangle_{\chi_0 \chi_0 \rightarrow \chi_1 \chi_1}}{10^{-26} \text{cm}^3 \text{s}^{-1}} \right) \left( \frac{20 \text{ GeV}}{m_0} \right)^2$$

from DM number density

- Setting  $\langle \sigma v \rangle_{\chi_0 \chi_0 \rightarrow \chi_1 \chi_1}$  to be  $\sim 10^{-26} \text{cm}^3 \text{s}^{-1}$  and assuming Navarro-Frenk-White DM halo profile, a standard profile, one finds

$$\mathcal{F}_{\chi_1} \sim 10^{-7} \text{cm}^{-2} \text{s}^{-1} \text{ for WIMP mass-range } \chi_0 \text{ [e.g., } \mathcal{O}(20 \text{ GeV)]}$$

# Search Proposals at Large-Mass Detectors

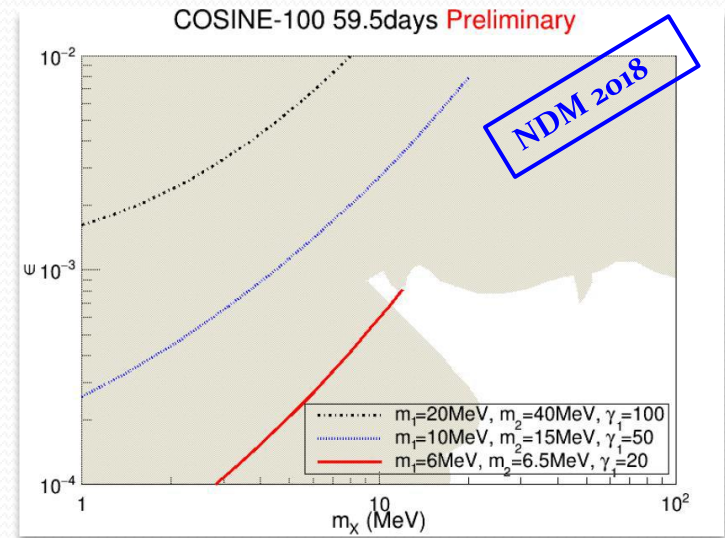
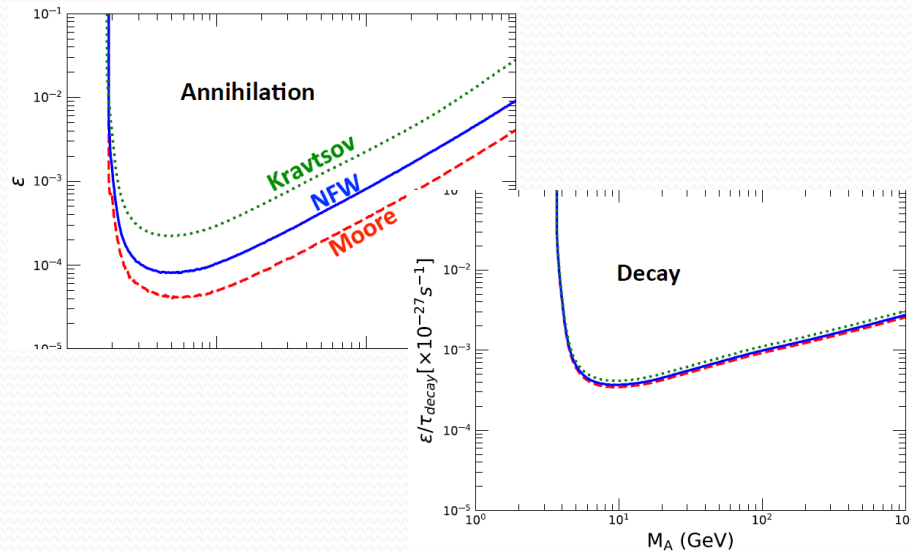
- ❑ No sensitivity in conventional (small-mass, say,  $< 1$  ton) dark matter direct detection experiments  
⇒ large-mass neutrino and/or dark matter detectors motivated



# Search Proposals at Large-Mass Detectors

- ❑ No sensitivity in conventional (small-mass, say,  $< 1$  ton) dark matter direct detection experiments  
⇒ large-mass neutrino and/or dark matter detectors motivated
- ❑ Example detectors and pheno. studies include
  - ✓ Super-K/Hyper-K [Agashe, Cui, Necib, Thaler (2014); Berger, Cui, Zhao (2014); Kong, Mohlabeng, Park (2014); Necib, Moon, Wongjirad, Conrad (2016); DK, Park, Shin (2016)]
  - ✓ DUNE [Necib, Moon, Wongjirad, Conrad (2016); Alhazmi, Kong, Mohlabeng, Park (2016); DK, Park, Shin (2016); Alhazmi, Dienes, DK, Kong, Park, Shin, Thomas, in progress]
  - ✓ IceCube/PINGU [Agashe, Cui, Necib, Thaler (2014); Bhattacharya, Gandhi, Gupta (2014); Kong, Mohlabeng, Park (2014); Kopp, Liu, Wang (2015); DK, Park, Park, Shin, in progress]
  - ✓ Dark Matter detectors (Xenon1T, LZ, etc) [Cherry, Frandsen, Shoemaker (2015); Giudice, DK, Park, Shin (2017); Bringmann, Pospelov (2018)]
  - ✓ Surface-based detectors (e.g., ProtoDUNE, SBN etc) [Chatterjee, De Roeck, DK, Moghaddam, Park, Shin, Whitehead, Yu (2018), DK, Kong, Park, Shin (2018)]

# Experimental Effort



- ❑ Elastic boosted dark matter search in electron scattering channel at the SK detector [SK Collaboration, PRL (2018)]
- ❑ Inelastic boosted dark matter search at the COSINE detector (an official result will appear soon).
- ❑ Inelastic boosted dark matter search planned in DUNE, ProtoDUNE, and ICARUS (Gran Sasso data)
- ❑ Elastic boosted dark matter search planned in DUNE (see Josh's and Yun-Tse's talks)

# Many More Well-Motivated Experiments

DM Experiment	Target Material	Volume [t]		Depth [m]	$E_{th}$ [keV]	Position [cm]	Resolution		PID	Run Time	Refs.
		Active	Fiducial				Angular [°]	Energy [%]			
DarkSide-50	LAr DP-TPC	46.4 kg	36.9 kg	3,800 m.w.c.	$\mathcal{O}(1)$	$\sim 0.1 - 1$	—	?	—	2013-	[83]
DarkSide-20k	LAr DP-TPC	23	20	3,800 m.w.c.	$\mathcal{O}(1)$	$\sim 0.1 - 1$	—	?	—	goal: 2021-	[30]
XENONIT	LXe DP-TPC	2.0	1.3	3,600 m.w.c.	$\mathcal{O}(1)$	$\sim 0.1 - 1$	—	?	—	2016-2018	[85, 100]
XENONnT	LXe DP-TPC	5.9	$\sim 4$	3,600 m.w.c.	$\mathcal{O}(1)$	$\sim 0.1 - 1$	—	?	—	goal: 2019-	[100]
DEAP-3600	SP LAr S1 only	3.26	2.2	2,000	$\mathcal{O}(10)$	$< 10$	—	?	—	2016-	[86, 87]
DEAP-50T	SP LAr S1 only	150	50	2,000	$\mathcal{O}(10)$	$\mathcal{O}(10)$	—	?	—	—	[86]
LUX-ZEPLIN	LXe DP-TPC	7	5.6	4,300 m.w.c.	$\mathcal{O}(1)$	$\sim 0.1 - 1$	—	?	—	goal: 2020-	[88]
Neutrino Experiment	Target Material	Volume [kt]		Depth [m]	$E_{th}$ [MeV]	Vertex [cm]	Resolution		PID	Run Time	Refs.
		Active	Fiducial				Angular [°]	Energy [%]			
Borexino	organic LS	0.278	0.1	3,800 m.w.c.	$\sim 0.2$	$\sim 9-17$	?	$\frac{5}{\sqrt{E}(\text{MeV})}$	?	$> 5.6$ year	[89]
KamLAND	LS	1	0.2686	1,000	0.2 - 1	$\frac{12-13}{\sqrt{E}(\text{MeV})}$	?	$\frac{6.4-6.9}{\sqrt{E}(\text{MeV})}$	?	$\sim 10$ year?	[90, 91]
JUNO	LS	—	20	700	$< 1$ , goal: 0.1	$\frac{12}{\sqrt{E}(\text{MeV})}$	$\mu$ : $L > 5$ m: $< 1$ , $L > 1$ m: $< 10$	$\frac{3}{\sqrt{E}(\text{MeV})}$	$\mu^\pm$ vs $\pi^\pm$ , $e^\pm$ vs $\pi^0$ : difficult	2020-	[92]
DUNE	LArTPC	Total: (SP: 10 + 17.5 $\times 4$ , DP: 10.6 $\times 2$ )		1500	$e$ : 30, $p$ : 21-50	1-2	$e, \mu, \pi^\pm$ : 1, $p, n$ : 5	$e$ : $1 \oplus \frac{15}{\sqrt{E}(\text{MeV})}$ , $p$ : 10 ( $p < 0.4$ GeV), $5 \oplus \frac{30}{\sqrt{E}(\text{GeV})}$ ( $p > 0.4$ GeV)	good separation	10 kt: 2025-, 20 kt: 2026-	[6, 31-33]
SK	Water Cherenkov	Total: 50	22.5	1,000	$e$ : 5, $p$ : 1.07 GeV	5 MeV: 95, 10 MeV: 55, 20 MeV: 40	10 MeV: 25, 0.1 GeV: 3, 1.33 GeV: 1.2	10 MeV: 16, 1 GeV: 2.5	$e, \mu$ : good	$\gtrsim 15$ year	[93-95]
HK	Water Cherenkov	Total: 258 $\times 2$	187 $\times 2$	Japan: 1,000, Korea: 1,000	$e$ : $< 5$ , $p$ : 1.07 GeV	5 MeV: 75, 10 MeV: 45, 15 MeV: 40, 0.5 GeV: 28	similar to SK	better than SK	$e, \mu$ , $\pi^0, \pi^\pm$ : mild	goal: 2026-	[34-36]
	Target Material	Effective Volume [Mt]		Depth [m]	$E_{th}$ [GeV]	Vertex [m]	Resolution		PID	Run Time	Refs.
							Angular [°]	Energy [%]			
IceCube	Ice Cherenkov	100 GeV: $\sim 30$ , 200 GeV: $\sim 200$		1,450 Ice	$\sim 100$	vertical: 5, horizontal: 15	$\mu$ -track: $\sim 1$ , shower: $\sim 30$	$\sim 15$	only $\mu$	2011-(2008)	[96]
DeepCore	Ice Cherenkov	10 GeV: $\sim 5$ , 100 GeV: $\sim 30$		2,100 Ice	$\sim 10$	better	$\mu$ -track: $\sim 1$ , shower: $\gtrsim 10$	?	only $\mu$	2011-(2010)	[37]
PINGU	Ice Cherenkov	1 GeV: $\sim 1$ , 10 GeV: $\sim 5$		2,100 Ice	$\sim 1$	much better	1 GeV: 25, 10 GeV: 10	?	only $\mu$	$>$ 2023	[97]
Gen2	Ice Cherenkov	$\sim 10$ Gt		1,360 Ice	$\sim 50$ TeV	worse	$\mu$ -track: $< 1$ , shower: $\sim 15$	?	only $\mu$	—	[98]

- Many existing/upcoming experiments which are potentially capable of testing models conceiving boosted dark matter
- Additional physics opportunity on top of the main missions of experiments

[DK, Machado, Park, Shin, in progress]

# Questions

For a model,

- ❑ Parameter space to which an experiment would be **best sensitive?**
- ❑ **Better-motivated channels** to investigate in terms of signal searches?

## Topics in the Rest of the Talk

- ❑ Proton scattering vs. DIS in elastic/inelastic BDM searches
- ❑ Proton scattering vs. electron scattering in elastic/inelastic BDM searches
- ❑ Example data analysis (in DUNE and Hyper-K)

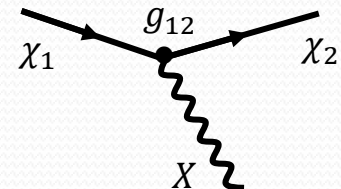
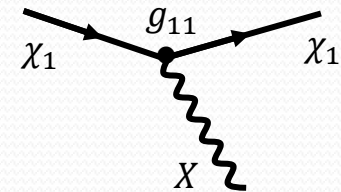
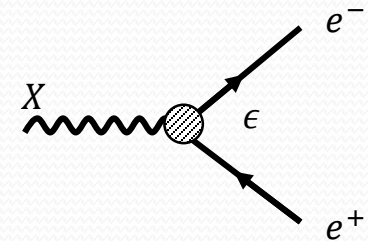
# Benchmark Model: Building Blocks

$$\mathcal{L}_{\text{int}} \ni -\frac{\epsilon}{2} F_{\mu\nu} X^{\mu\nu} + g_{11} \bar{\chi}_1 \gamma^\mu \chi_1 X_\mu + g_{12} \bar{\chi}_2 \gamma^\mu \chi_1 X_\mu + \text{h. c.} + (\text{others})$$

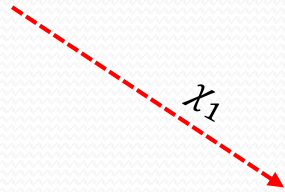
□ **Vector portal** (e.g., dark photon scenario)

□ Fermionic DM

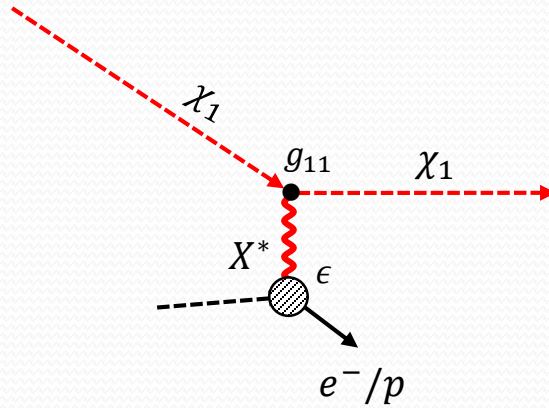
- ❖  $\chi_2$ : a heavier (unstable) dark-sector state
- ❖ **Flavor-conserving interaction**  $\Rightarrow$  elastic scattering
- ❖ **Flavor-changing interaction**  $\Rightarrow$  inelastic scattering



# Expected BDM Signatures: Elastic Scattering

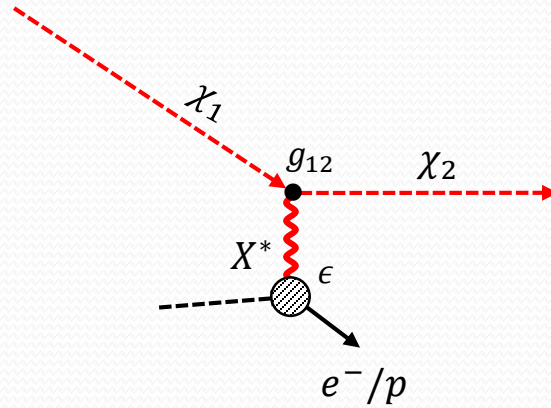


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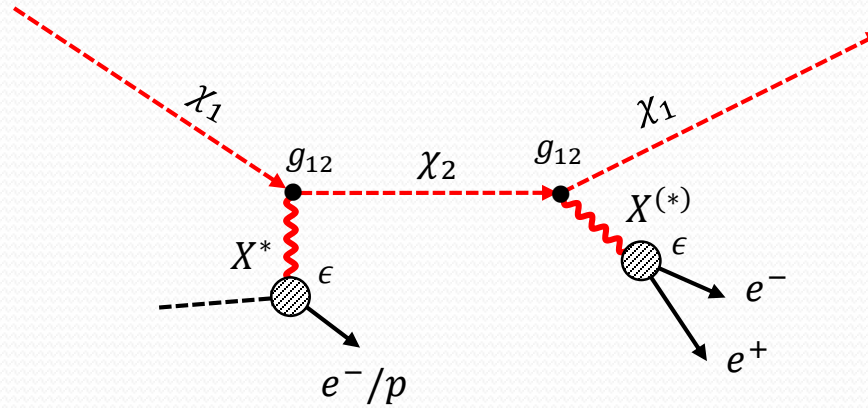




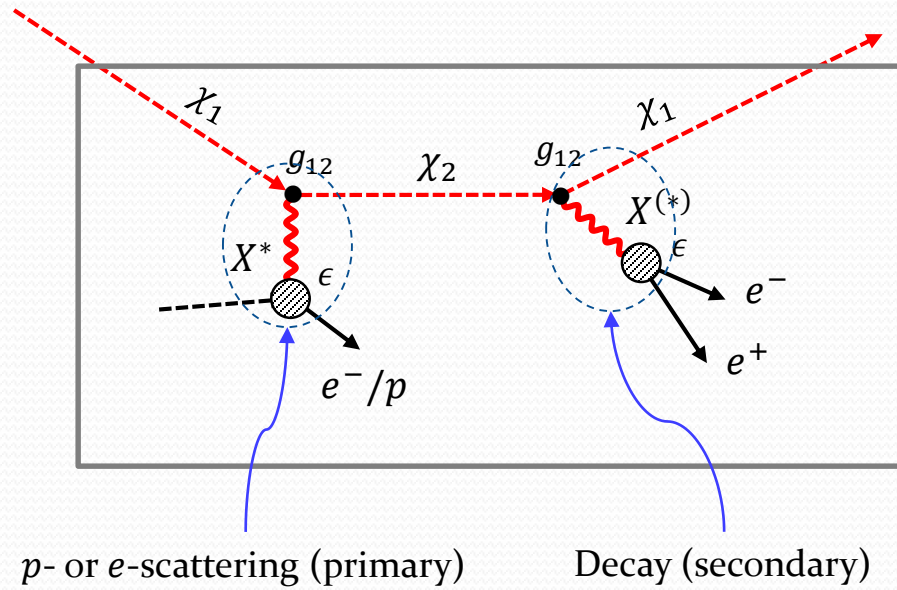
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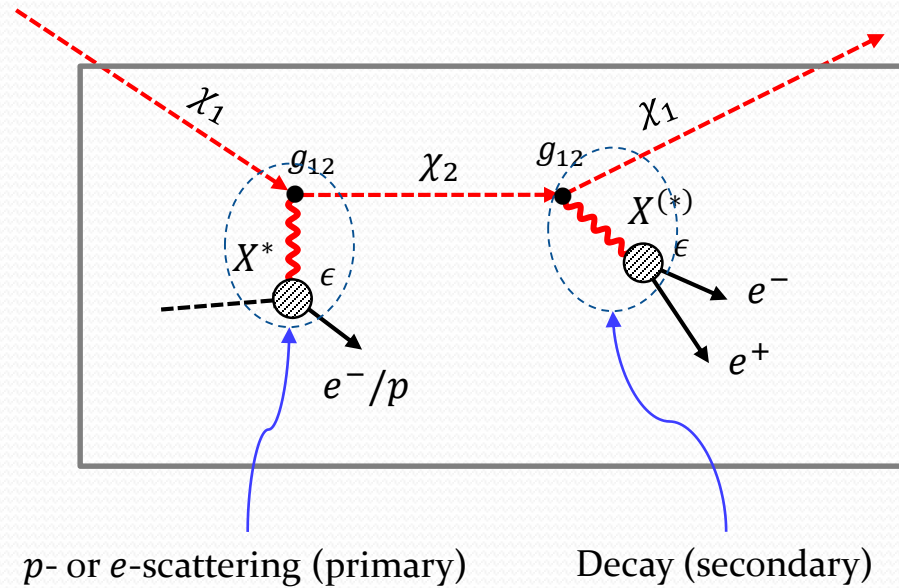
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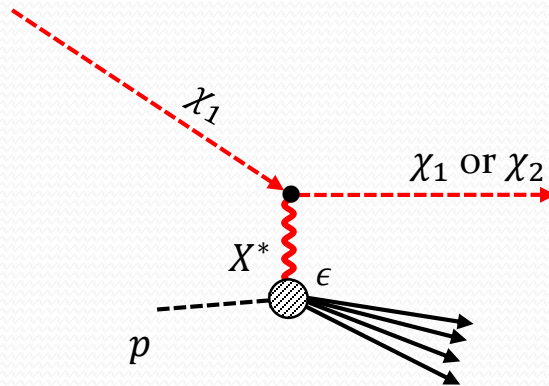


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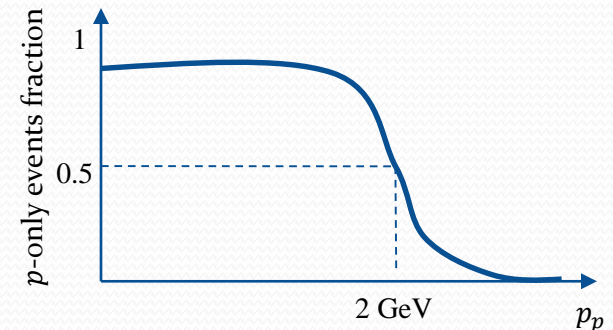


- ❑ Everything happens inside a detector fiducial volume.
- ❑ The secondary interaction point may be displaced due to either long-lived
  - ✓  $\chi_2$  - when it decays via an off-shell  $X$  (i.e.,  $m_2 < m_1 + m_X$ ) - or
  - ✓ on-shell  $X$  - when kinetic mixing parameter is sufficiently small.
- ❑ If  $\delta m = m_2 - m_1$  is large enough, other final states (e.g.,  $\mu^+\mu^-$ ,  $\pi^+\pi^-$ , etc) are available.

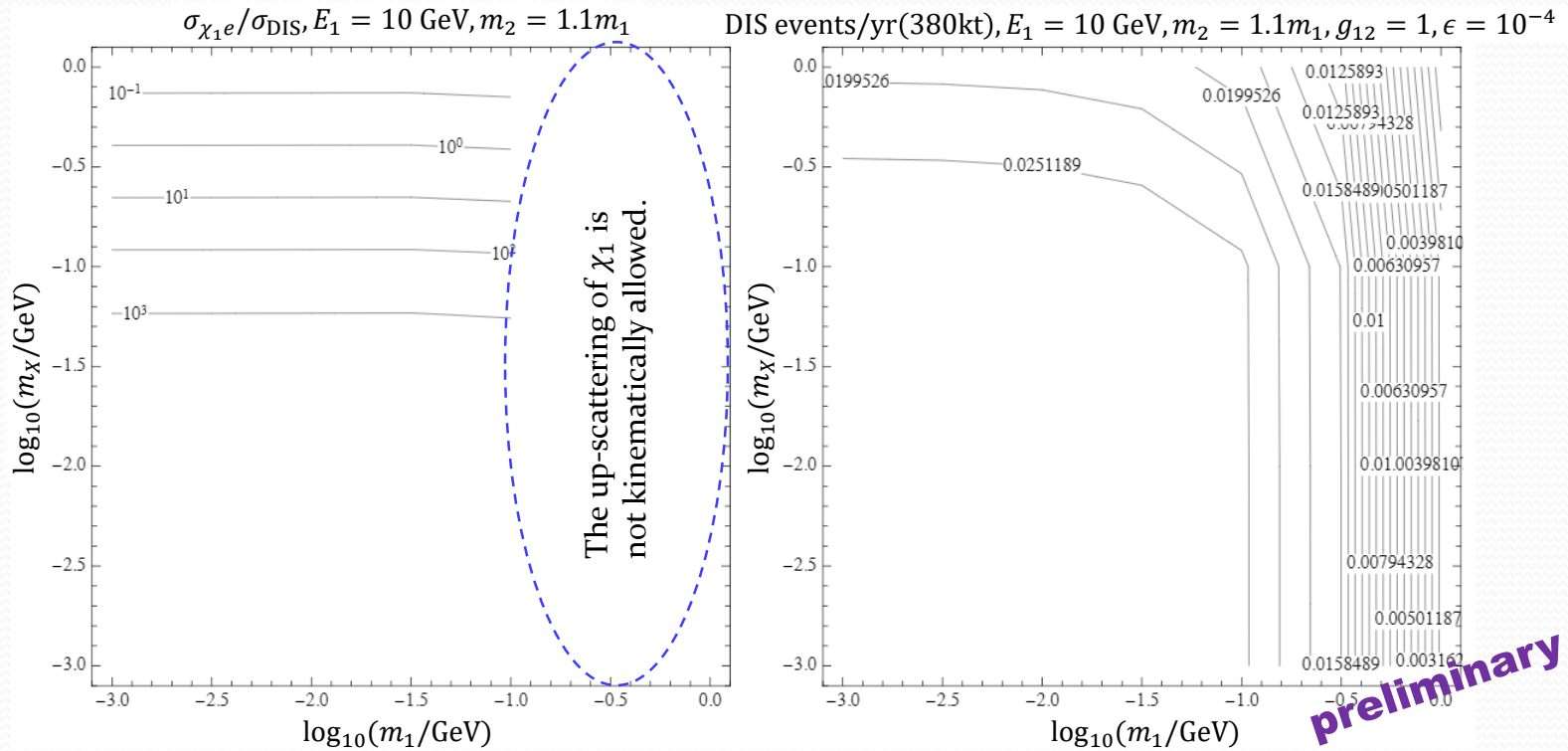
# $p$ -Scattering vs. DIS



- ❑ If a momentum transfer is too large, a proton may break apart.
- ❑ What is large?  $\Rightarrow$  A Super-K simulation study [Fechner et al, PRD (2009)] showed about 50 % events accompany (at least) a pion or a secondary particle for  $p_p \approx 2$  GeV.
- ❑ We categorize any event with  $p_p < 2$  GeV as the  $p$ -scattering (i.e., simplified step-function-like transition).



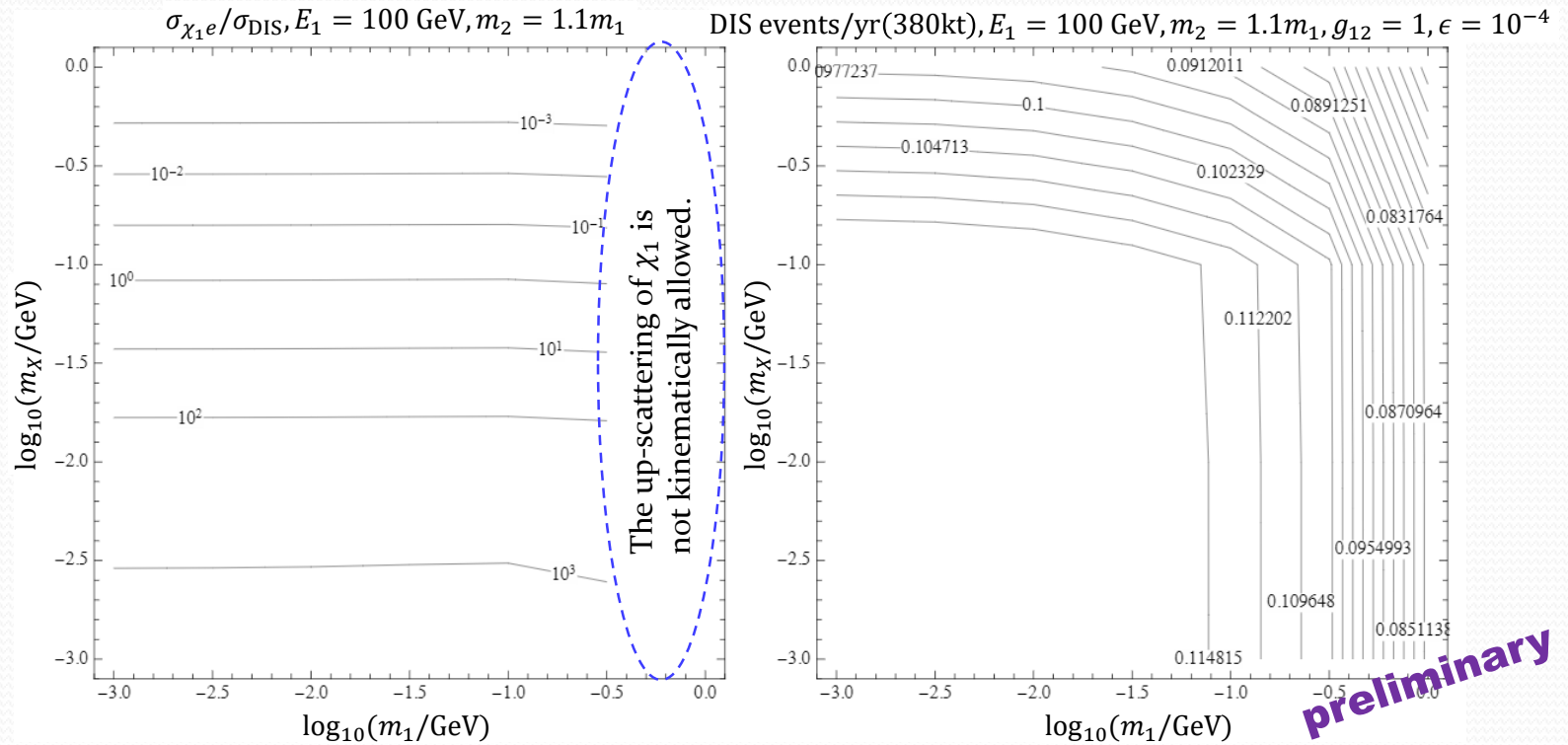
# $p$ -Scattering vs. DIS: Numerical Study



preliminary

- ❑ We study  $\sigma_{\chi_1 e}/\sigma_{\text{DIS}}$  first ( $\sigma_{\chi_1 p}/\sigma_{\text{DIS}}$  coming up), but due to  $\sigma_{\chi_1 p} > \sigma_{\chi_1 e}$  over the parameter space of interest (in a few slides), the argument later on holds.
- ❑ For sub-GeV or lighter mediator (here dark photon),  $p$ -scattering dominates over DIS.
- ❑ Even in the region where DIS is sizable, the expected number of DIS events is small.

# $p$ -Scattering vs. DIS: Numerical Study



- ❑ DIS-preferred region expands, but a similar observation still holds with higher incoming energy of  $\chi_1$ .
- ❑ ( $\chi_1$  with  $E_1 > 100 \text{ GeV}$  may come with too small flux, depending on the underlying “boost” mechanism.)

# (Semi-)analytic Understanding

□  $p$ -scattering:

$$\frac{d\sigma_{\chi_1 p}}{dp_p} \propto \frac{1}{\{2m_p(E_2 - E_1) - m_X^2\}^2} \approx \frac{1}{(p_p^2 + m_X^2)^2}$$

$t$ -channel propagator      in the limit of  $p_p \ll m_p$

- ✓ The differential cross section is peaking towards small recoil momentum.
- ✓  $p$ -scattering cross section rises in decreasing  $m_X$  ( $\ll m_p \approx 1$  GeV) as long as  $p_p \lesssim m_X$ .



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$\swarrow$   $t$ -channel propagator       $\nwarrow$  in the limit of  $p_p \ll m_p$

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## □ DIS:

$$\frac{d^2\sigma_{\text{DIS}}}{dx dy} \propto \frac{1}{(Q^2 + m_X^2)^2} \approx \frac{1}{Q^4}$$

- ✓ The energy transfer  $Q$  is larger than  $\sim 2 \text{ GeV}$ , and in turn, much larger than  $m_X (\ll 1 \text{ GeV})$  under consideration.
- ✓ DIS cross section does not vary much in decreasing  $m_X (\ll m_p \approx 1 \text{ GeV})$ .

# (Semi-)analytic Understanding

## □ $p$ -scattering:

$$\frac{d\sigma_{\chi_1 p}}{dp_p} \propto \frac{1}{\{2m_p(E_2 - E_1) - m_X^2\}^2} \approx \frac{1}{(p_p^2 + m_X^2)^2}$$

↑
↑  
 $t$ -channel propagator      in the limit of  $p_p \ll m_p$

- ✓ The differential cross section is peaking towards small recoil momentum.
- ✓  $p$ -scattering cross section rises in decreasing  $m_X (\ll m_p \approx 1 \text{ GeV})$  as long as  $p_p \lesssim m_X$ .

## □ DIS:

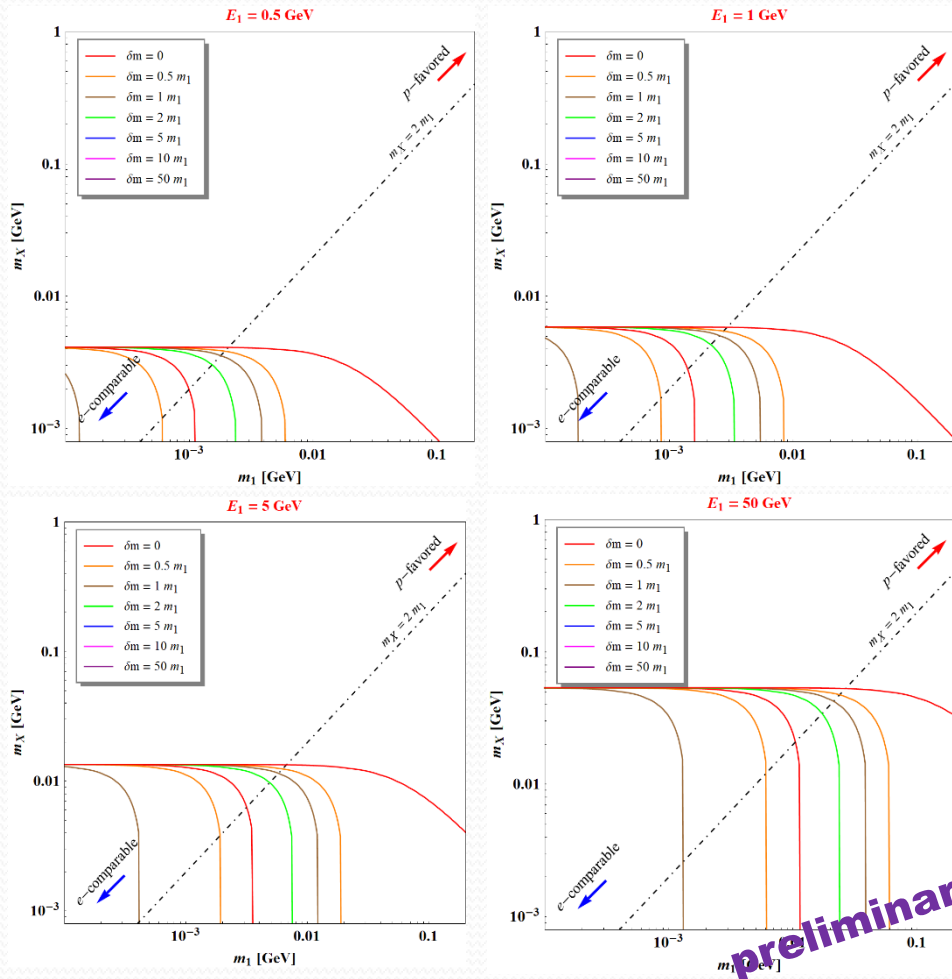
$$\frac{d^2\sigma_{\text{DIS}}}{dx dy} \propto \frac{1}{(Q^2 + m_X^2)^2} \approx \frac{1}{Q^4}$$

- ✓ The energy transfer  $Q$  is larger than  $\sim 2 \text{ GeV}$ , and in turn, much larger than  $m_X (\ll 1 \text{ GeV})$  under consideration.
- ✓ DIS cross section does not vary much in decreasing  $m_X (\ll m_p \approx 1 \text{ GeV})$ .

□ Our numerical study suggests that  $\sigma_{\chi_1 p}$  be larger than  $\sigma_{\text{DIS}}$  for  $m_X \approx 0.1 \text{ GeV}$  and  $E_1 < 100 \text{ GeV}$ .

□ As far as a mediator is within sub-GeV or smaller, DIS-induced events, which often involve complicated final states, would be negligible (cf. neutrino-induced DIS via  $\mathcal{O}(100 \text{ GeV})$   $W/Z$  gauge boson exchange).

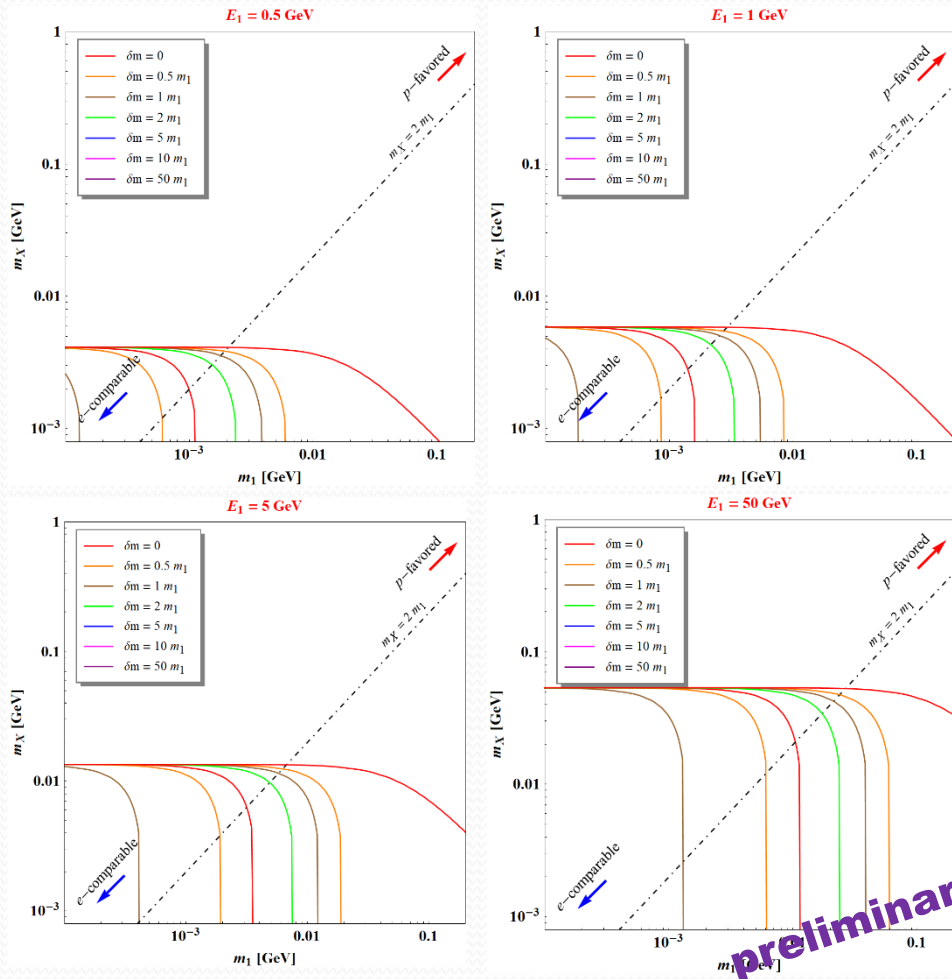
# $p$ -Scattering vs. $e$ -Scattering: Theory Level



- A “perfect” detector (no resolution issue, no energy threshold, secondary decay appearing inside the detector) is assumed, only with  $p_p < 2$  GeV taken into consideration.
- Boundaries are defined by  $\sigma_{\chi_1 e} = 0.9 \sigma_{\chi_1 p}$  as the  $p$ -scattering cross section is at least slightly greater than the  $e$ -scattering over the region of interest.

preliminary

# $p$ -Scattering vs. $e$ -Scattering: Moral



- ❑ If a BDM search hypothesizes a heavy dark photon (say, sub-GeV range), the proton channel may expedite discovery.
- ❑ If a model conceiving inelastic BDM (iBDM) signals allows for large mass gaps between  $\chi_1$  and  $\chi_2$ , the proton channel is more advantageous.
- ❑ On the other hand, the electron channel becomes comparable/complementary in probing the parameter regions with smaller  $m_1$  and  $m_X$ .
- ❑ As the boosted  $\chi_1$  comes with more energy, more parameter space where the electron channel is comparable opens up.

preliminary

# $p$ -Scattering vs. $e$ -Scattering: a DUNE-like Detector

## □ Selection criteria

i)  $p_e > 30 \text{ MeV}$ ,  $30 \text{ MeV} < p_p < 2 \text{ GeV}$ ,

ii)  $\Delta\theta_{e-i} > 1^\circ$ ,  $\Delta\theta_{p-i} > 5^\circ$  with  $i$  denoting the other visible final state particles, and

iii) both primary and secondary vertices should appear in the detector fiducial volume.

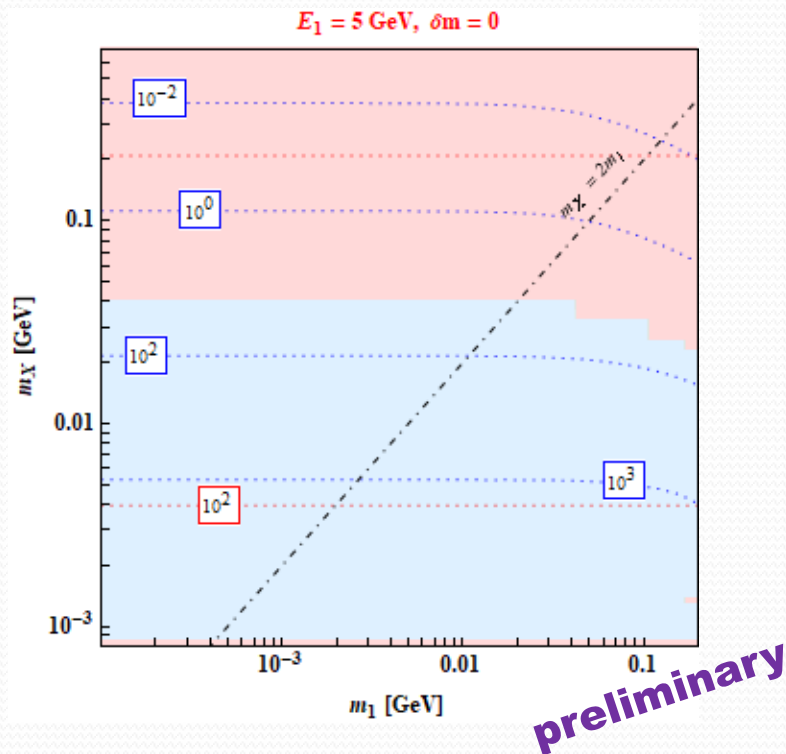
□ For each of 5,600 scanning points over the parameter space of interest, we generate 5 million events using the TGenPhaseSpace module in the ROOT package and reweight them with matrix element values.

□ The number of expected signal events are calculated by

$$N_{\text{sig}} = \sigma_{\chi_1 p(e)} \mathcal{F}_1 A t_{\text{exp}} N_{p(e)}$$

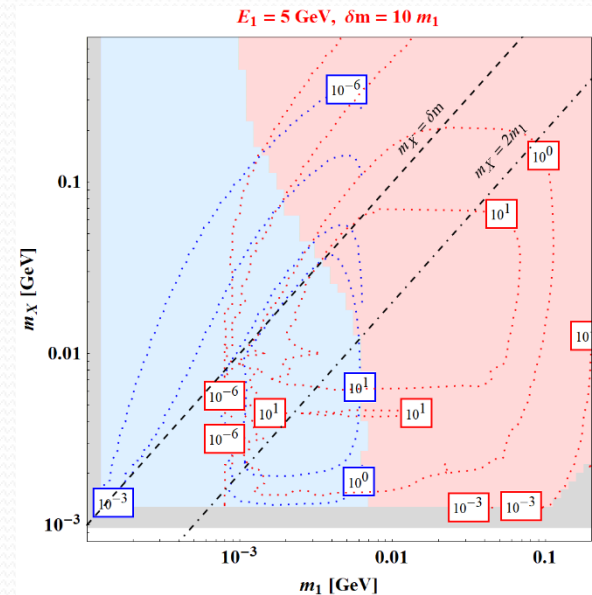
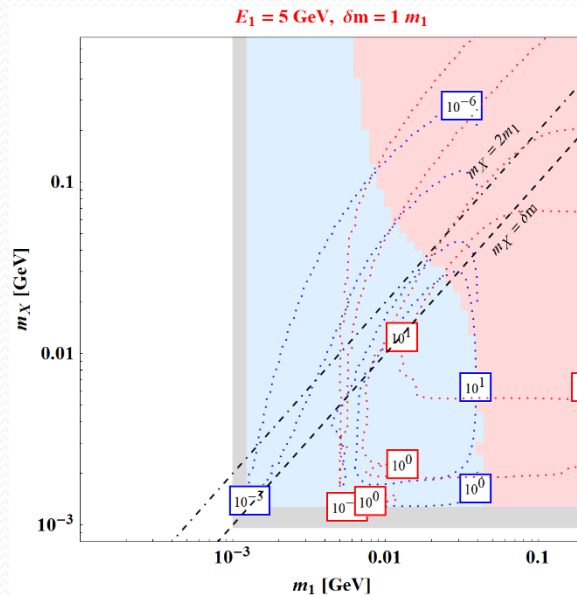
with  $A$  calculated from considering all selection criteria and 40 kt·yr assumed.

# $p$ -Scattering vs. $e$ -Scattering: a DUNE-like Detector



- $e$ -scattering can be larger than  $p$ -scattering, because more events populate in smaller proton recoil energy, and a harder angular cut on proton rejects some fraction of events.
- Many signal events would be expected in the region with small  $m_X$ , but may suffer from large backgrounds such as neutrino-induced events (only target recoil).
  - ⇒ Directionality helps to suppress backgrounds.

# $p$ -Scattering vs. $e$ -Scattering: a DUNE-like Detector



- ❑ White regions: kinematically not allowed to create an  $e^-e^+$  pair.
- ❑ Gray regions: barely allowed to have inelastic BDM events, but fail to pass cuts.
- ❑  $e$ -scattering can be larger than  $p$ -scattering, because more events populate in smaller proton recoil energy, and a harder angular cut on proton rejects some fraction of events.
- ❑  $e$ -scattering preferred region with large  $m_X$ , the  $e^-e^+$  pair in the  $p$ -channel often fails to pass angle cut.

# $p$ -Scattering vs. $e$ -Scattering: a HK-like Detector

## □ Selection criteria

i)  $p_e > 100$  MeV,  $1.07$  GeV  $< p_p < 2$  GeV,

ii)  $\Delta\theta_{e-i} > 3^\circ$ ,  $\Delta\theta_{p-i} > 3^\circ$  with  $i$  running over the other visible final state particles,  
and

iii) both primary and secondary vertices should appear in the detector fiducial volume.

□ For each of 5,600 scanning points over the parameter space of interest, we generate 5 million events using the TGenPhaseSpace module in the ROOT package and reweight them with matrix element values.

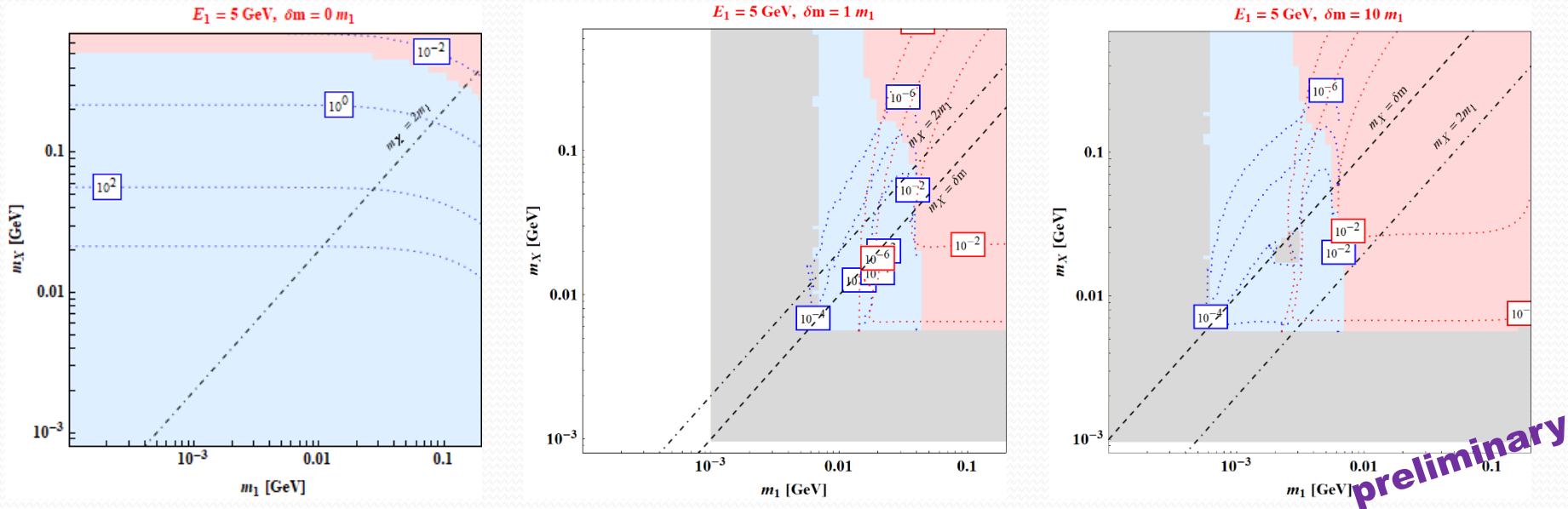
□ The number of expected signal events are calculated by

$$N_{\text{sig}} = \sigma_{\chi_1 p(e)} \mathcal{F}_1 A t_{\text{exp}} N_{p(e)}$$

with  $A$  calculated from considering all selection criteria and 380 kt·yr assumed.

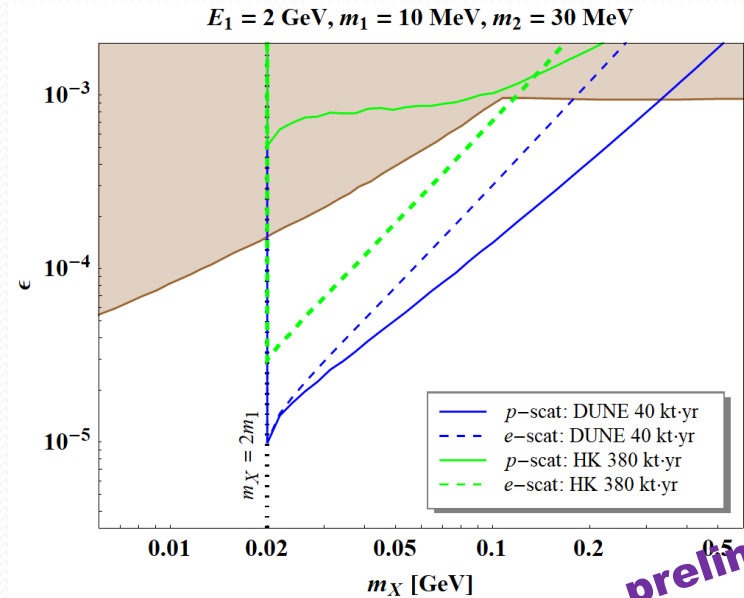
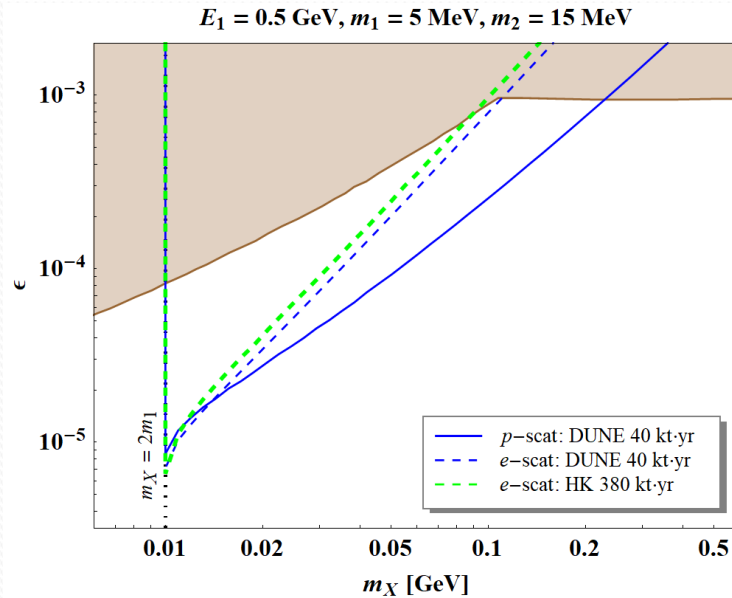


# $p$ -Scattering vs. $e$ -Scattering: a HK-like Detector



- ❑  $e$ -scattering preferred region is significantly extended because a proton needs enough kinetic energy to create Cherenkov radiation.
- ❑ Gray regions become much wider than corresponding results for DUNE due to the larger thresholds and angular resolution.  $\Rightarrow$  In order for HK to probe parameter space with small  $m_X$  and/or  $m_1$ , search strategies getting around these issues are motivated.

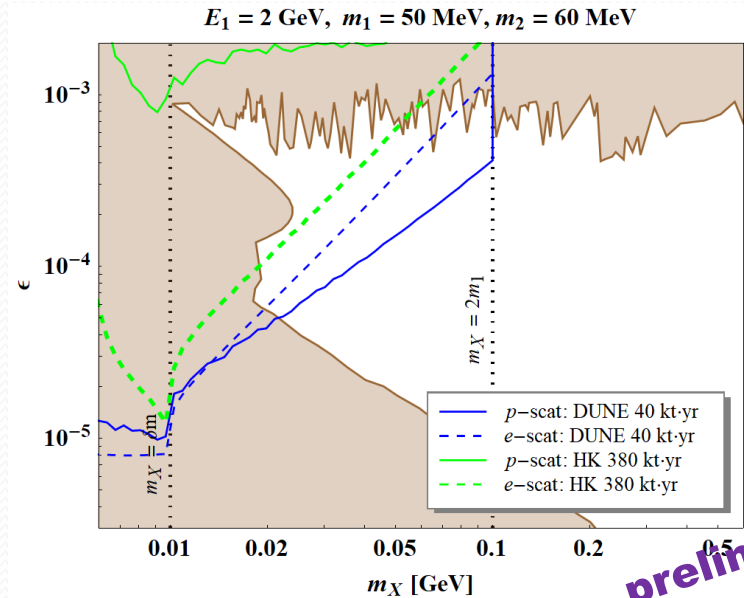
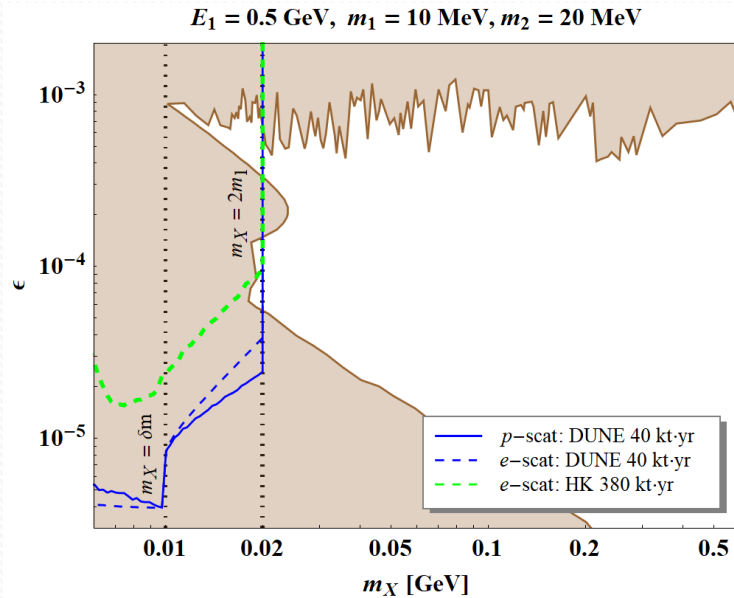
# Exploring Dark Photon Parameter Space: HK vs. DUNE



preliminary

- ❑ The exclusion limits are for the case of  $m_X > 2m_1$ , but  $\delta m = m_2 - m_1 < m_X$  so that  $\chi_2$  is guaranteed to decay visibly.
- ❑  $p$ -scattering is advantageous than  $e$ -scattering in increasing  $m_X$  as expected.
- ❑ For larger  $E_1$ , the proton scattering channel in HK begins to cover some region of parameter space.
  - $\Rightarrow$  Better angular resolution, lower threshold energy would enable HK to cover more parameter space.

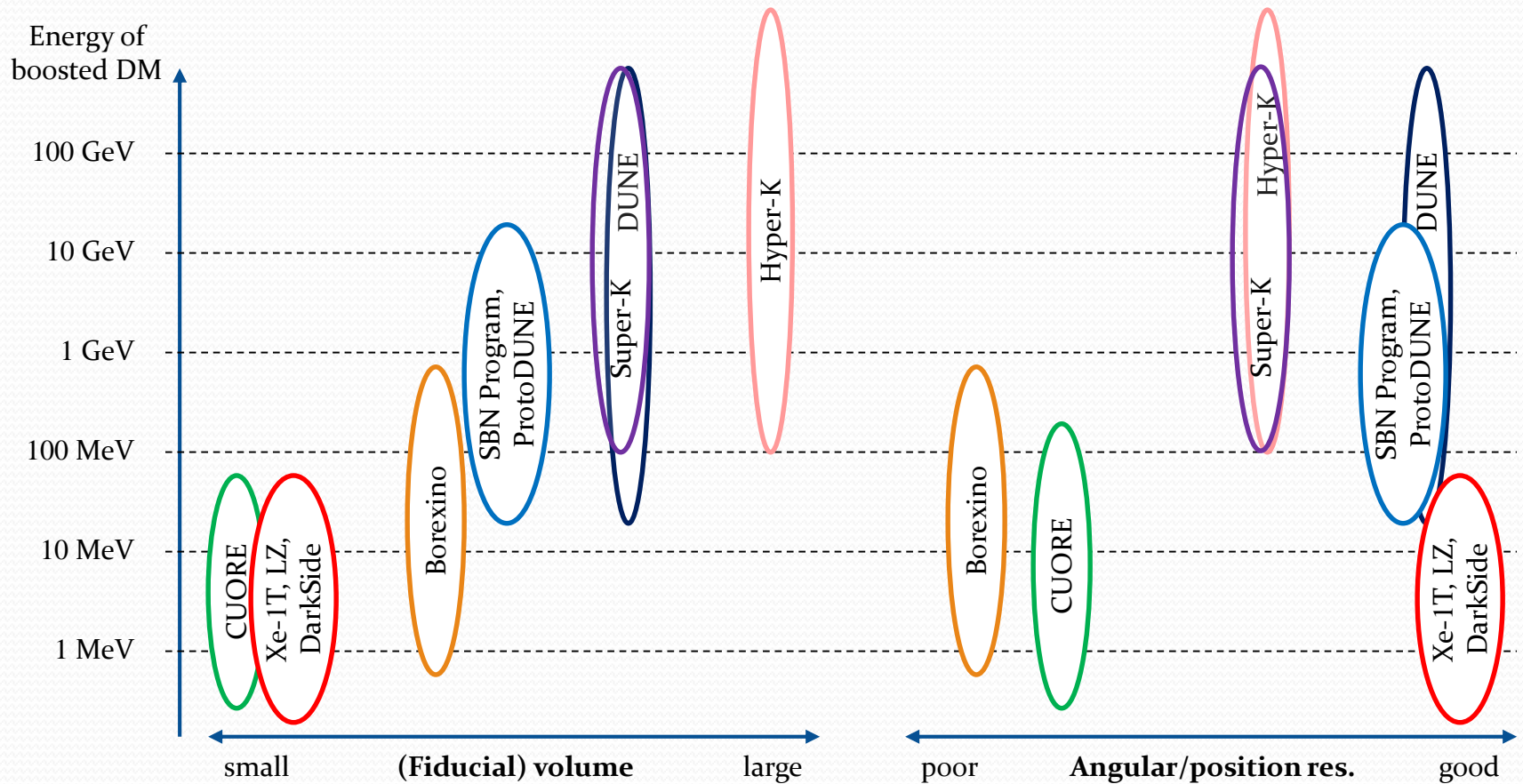
# Exploring Dark Photon Parameter Space: HK vs. DUNE



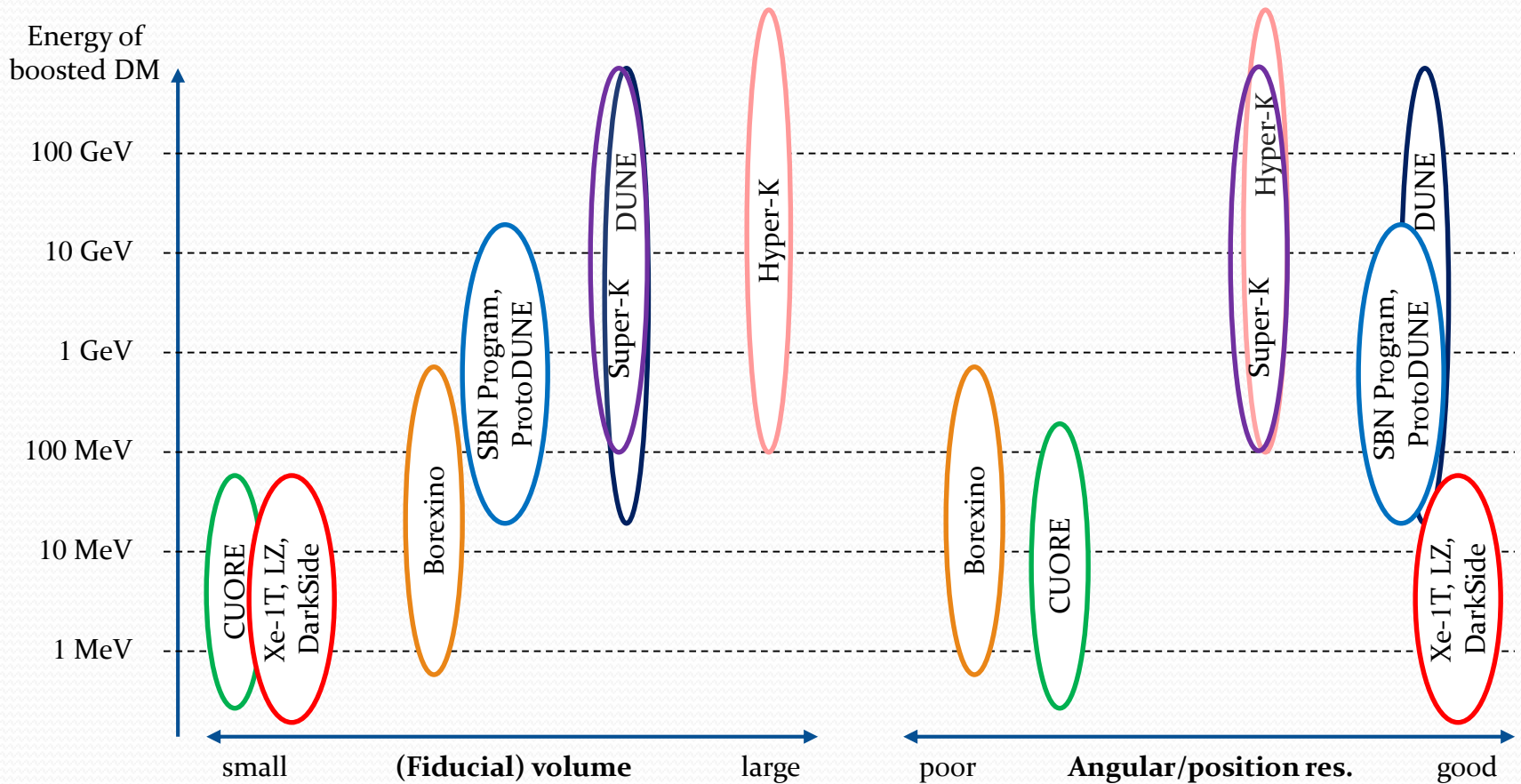
preliminary

- ❑ The exclusion limits are for the case of  $m_X < 2m_1$ .
- ❑  $p$ -scattering is advantageous than  $e$ -scattering in increasing  $m_X$  as expected.
- ❑ A transition happens at  $\delta m = m_X$  where  $\chi_2$  decays to an  $e^-e^+$  pair through on-shell  $X \leftrightarrow$  off-shell  $X$ .
- ❑ For larger  $E_1$ , the proton scattering channel in HK begins to cover some region of parameter space.
  - $\Rightarrow$  Better angular resolution, lower threshold energy would enable HK to cover more parameter space.

# (In)elastic BDM Searches in Various Experiments



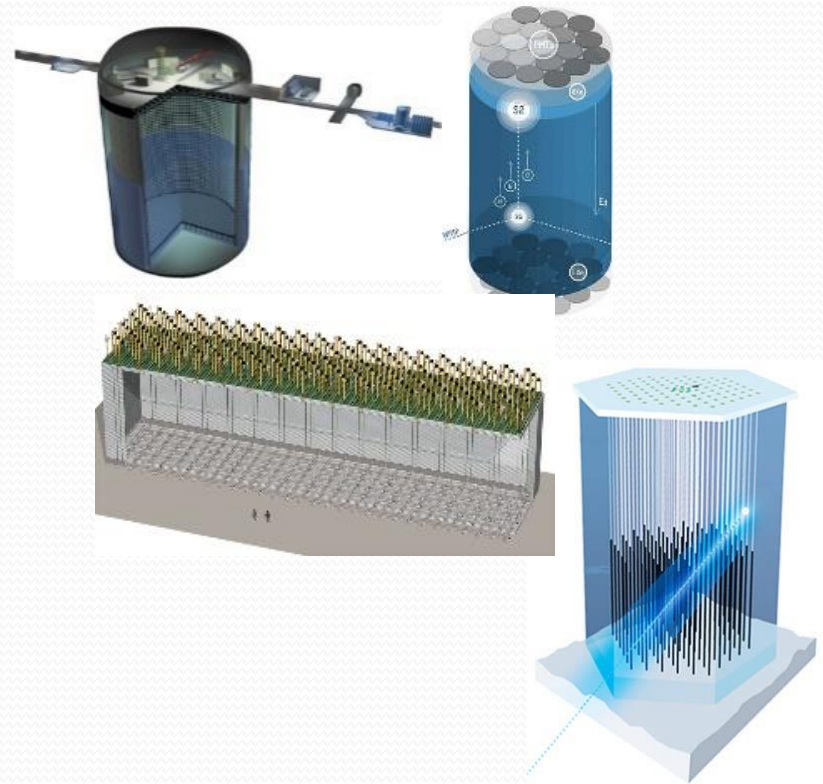
# (In)elastic BDM Searches in Various Experiments



Detectors are **complementary** to one another rather than superior to the others!

# Conclusions

- ❑ Boosted dark matter searches at the cosmic frontier are **promising**.
- ❑ They may provide an **alternative avenue** to explore dark sector physics (including dark matter).
- ❑ Theoretical/phenomenological studies have been **actively** conducted and in progress.
- ❑ There are **many** ongoing/projected **large-volume neutrino/dark matter experiments** in which they can be tested.
- ❑ Search strategies and analysis designs **depend on models to explore**.
  - ✓ Elastic vs. inelastic BDM
  - ✓ Proton vs. electron scattering channels
  - ✓ High-performance detectors are better for signals with many features.





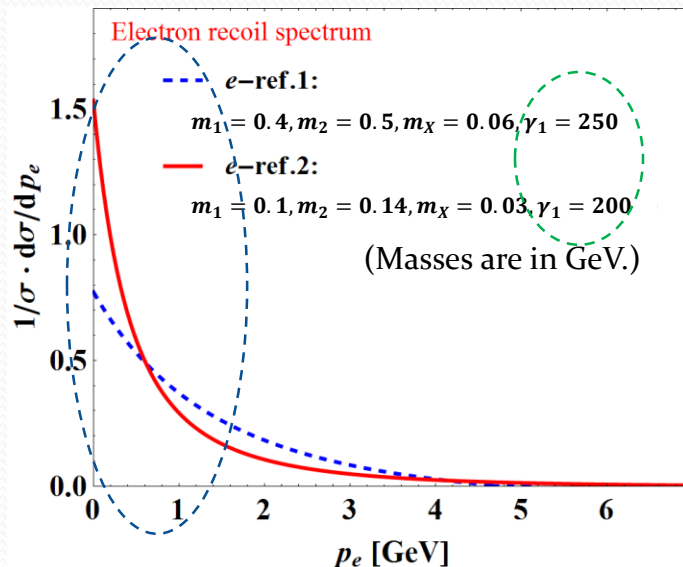
# Back-up

# Generic Features: e-scattering - Cross Section

$$\frac{d\sigma}{dE_T} = \underbrace{\frac{m_T}{8\pi\lambda(s, m_T^2, m_1^2)}}_{\text{From PS, same for elastic scattering}} \underbrace{\frac{8(\epsilon e g_{12})^2 m_T}{\{2m_T(E_2 - E_1) - m_X^2\}^2} \left[ m_T(E_1^2 + E_2^2) - \frac{(m_2 - m_1)^2}{2}(E_2 - E_1 + m_T) + m_T^2(E_2 - E_1) + m_1^2 E_2 - m_2^2 E_1 \right]}_{\text{From matrix element, expression for elastic scattering in the limit of } m_2 \rightarrow m_1}$$

From PS, same for elastic scattering

From matrix element, expression for elastic scattering in the limit of  $m_2 \rightarrow m_1$



- ❑ A **large boost factor** is preferred to access heavier dark sector states.
- ❑ Cross section is **peaking towards lower energy** electron recoil. (The generic trend is relevant to elastic scattering.)



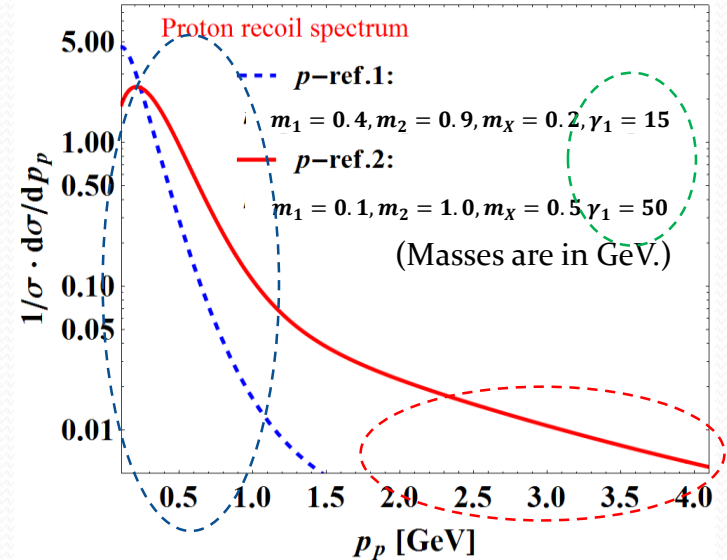
# Generic Features: $p$ -scattering - Cross Section

$$\frac{d\sigma}{dE_T} = \frac{m_T}{8\pi\lambda(s, m_T^2, m_1^2)} |\overline{\mathcal{M}}|^2$$

$$|\overline{\mathcal{M}}|^2 = \frac{8(\epsilon\epsilon g_{12})^2 m_T}{\{2m_T(E_2 - E_1) - m_X^2\}^2} \times \left[ \mathcal{M}_0(F_1 + \kappa F_2)^2 + \mathcal{M}_1 \left\{ -(F_1 + \kappa F_2)\kappa F_2 + \frac{(\kappa F_2)^2}{4m_T} (E_1 - E_2 + 2m_T) \right\} \right]. \quad (2)$$

$$\mathcal{M}_0 = \left[ m_T(E_1^2 + E_2^2) - \frac{(\delta m)^2}{2} (E_2 - E_1 + m_T) + m_T^2(E_2 - E_1) + m_1^2 E_2 - m_2^2 E_1 \right], \quad (3)$$

$$\mathcal{M}_1 = m_T \left[ \left\{ (E_1 + E_2) - \frac{m_2^2 - m_1^2}{2m_T} \right\}^2 + (E_1 - E_2 + 2m_T) \left\{ (E_2 - E_1) - \frac{(\delta m)^2}{2m_T} \right\} \right], \quad \delta m \equiv m_2 - m_1 \quad (4)$$



- ❑ A large boost factor is **not necessary** to access heavier dark sector states.
- ❑ Cross section is **peaking towards lower energy** proton recoil, while **high energy recoil regime** where DIS becomes relevant is negligible for small  $m_X$  (cf. for large  $m_X$ , the behavior becomes similar to that for neutrino scattering).  $\Leftarrow$  **large momentum transfer suppression** via the dark photon propagator.
- ❑ DIS-induced messy final states mostly come from backgrounds!