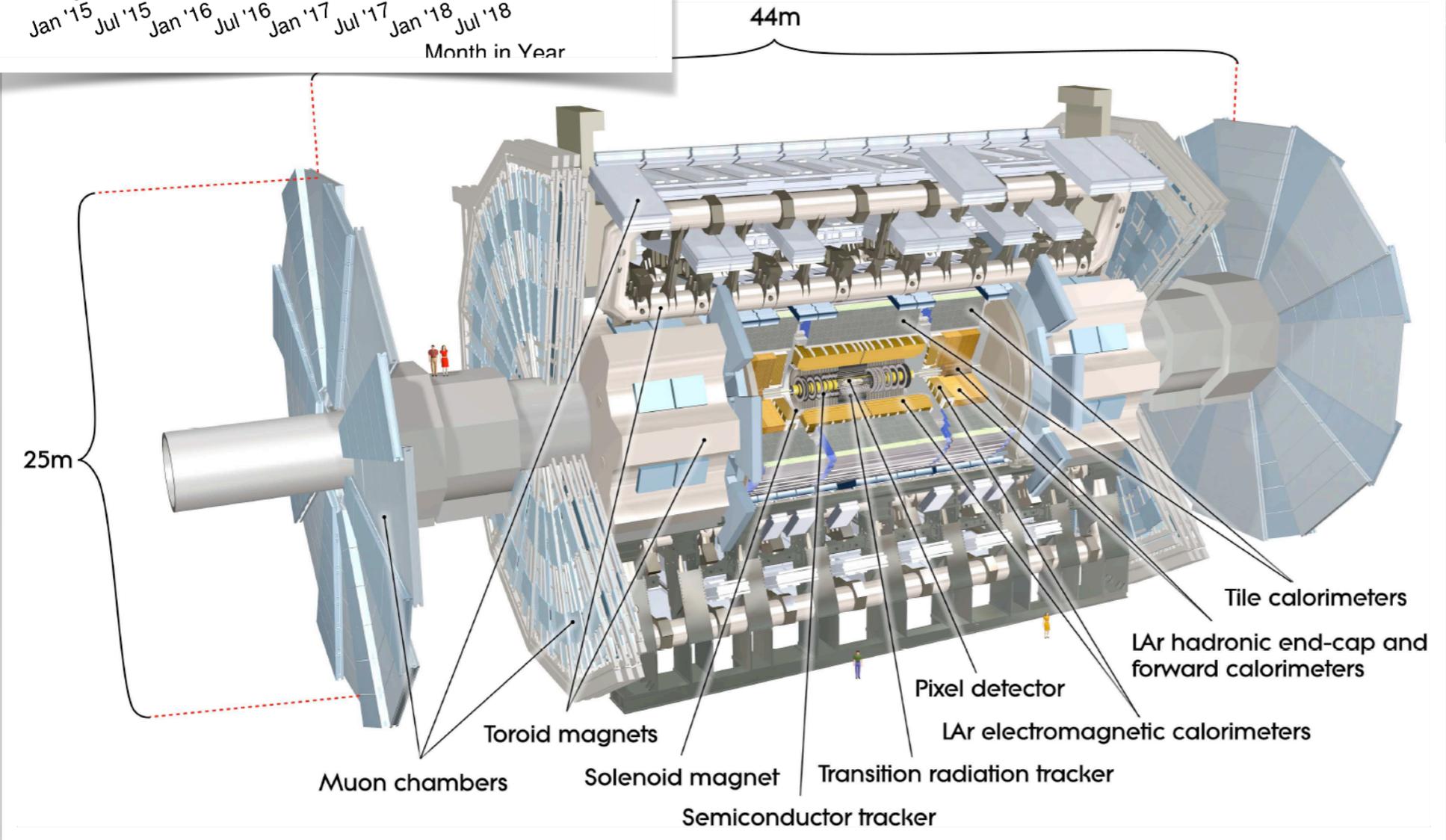
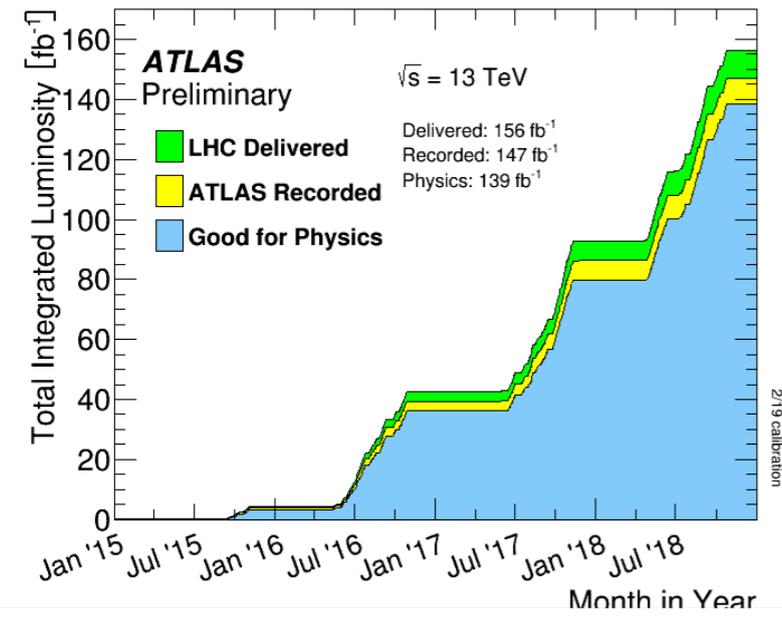


Tau Lepton Reconstruction and Identification in ATLAS

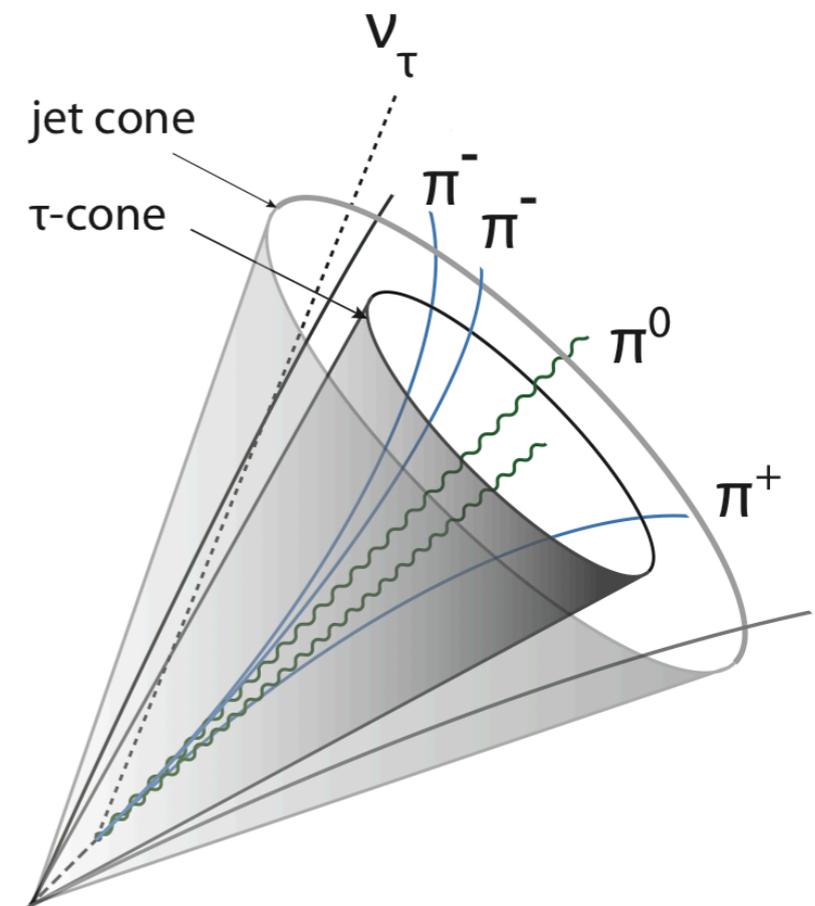
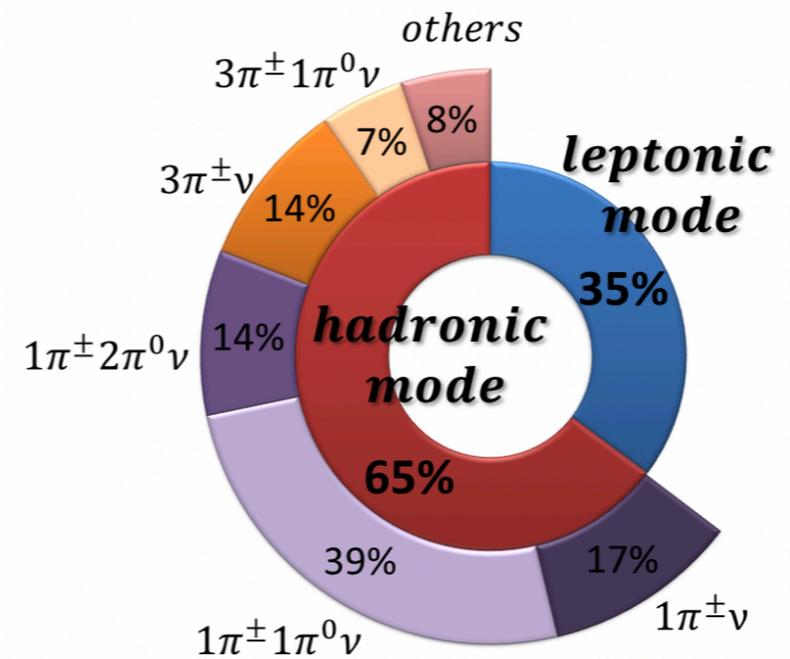
TAU2021, Indiana University
September 29, 2021

Christian Greife
on behalf of the ATLAS collaboration

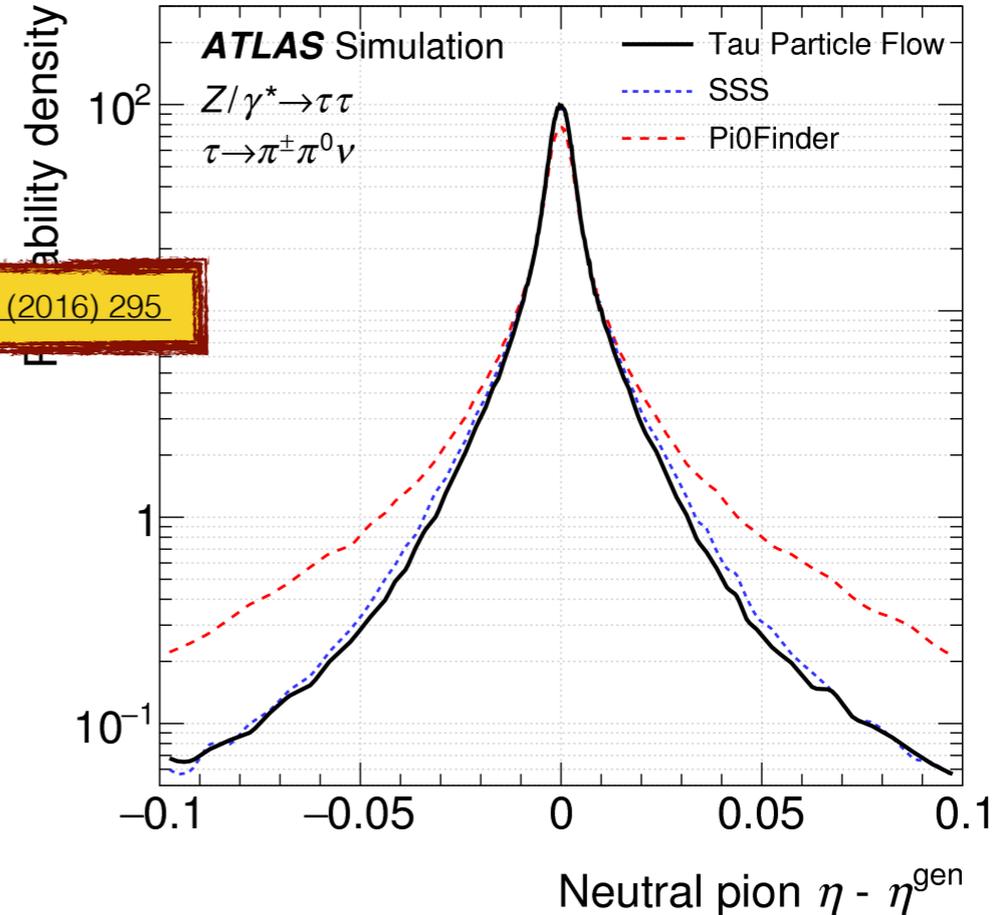
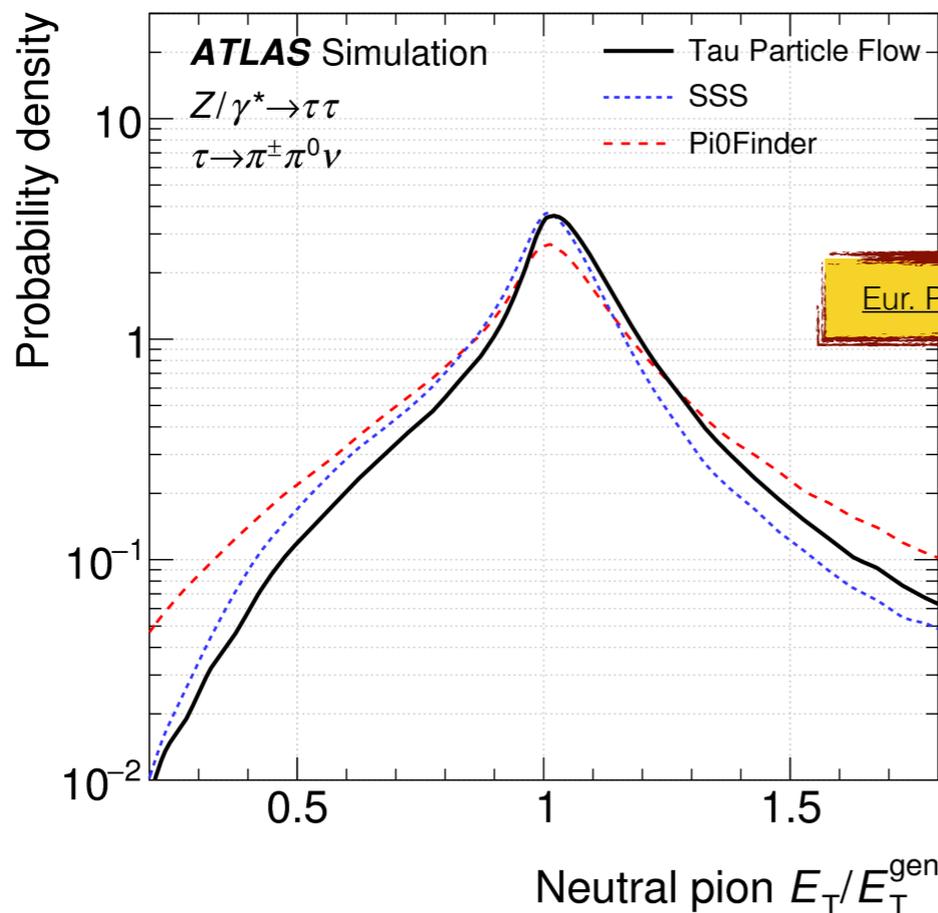
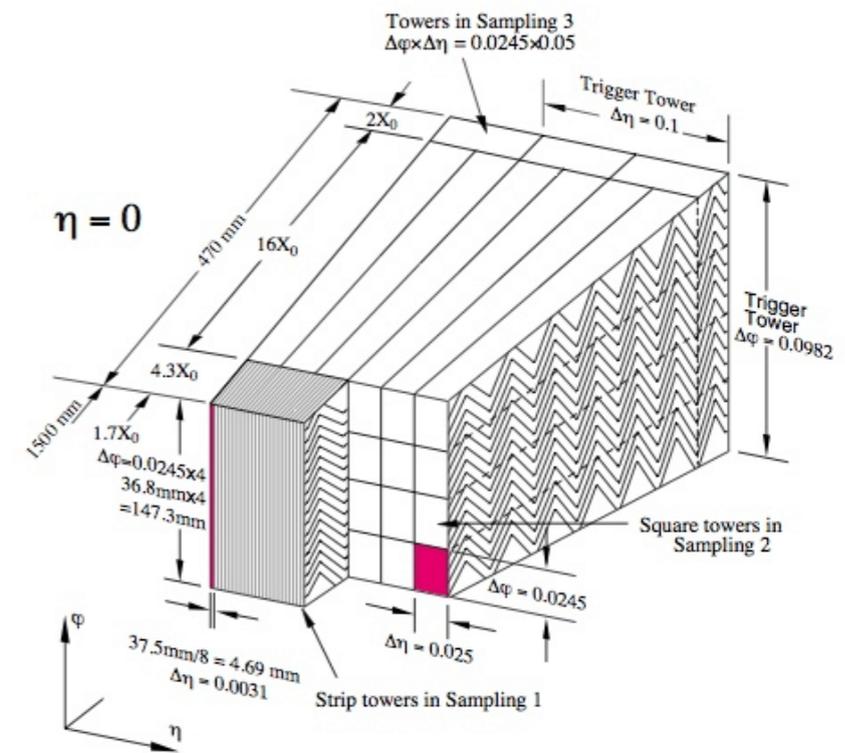




- Leptonic τ -lepton decays are reconstructed as electrons and muons (with possibly relaxed d_0 cuts at analysis level)
- Reconstruction of hadronic τ -lepton decays starts from anti- k_T jets with $R=0.4$ as seeds
- Classify tracks within cone into tau, isolation, pile-up and conversion tracks using multiple BDTs - require exactly 1 or 3 tau-tracks



- Subtract hadronic energy associated to tracks and use remaining energy to identify neutral particles (particle flow)
- Dedicated BDT (Tau Particle Flow) using EM cluster variables is used to identify π^0 clusters

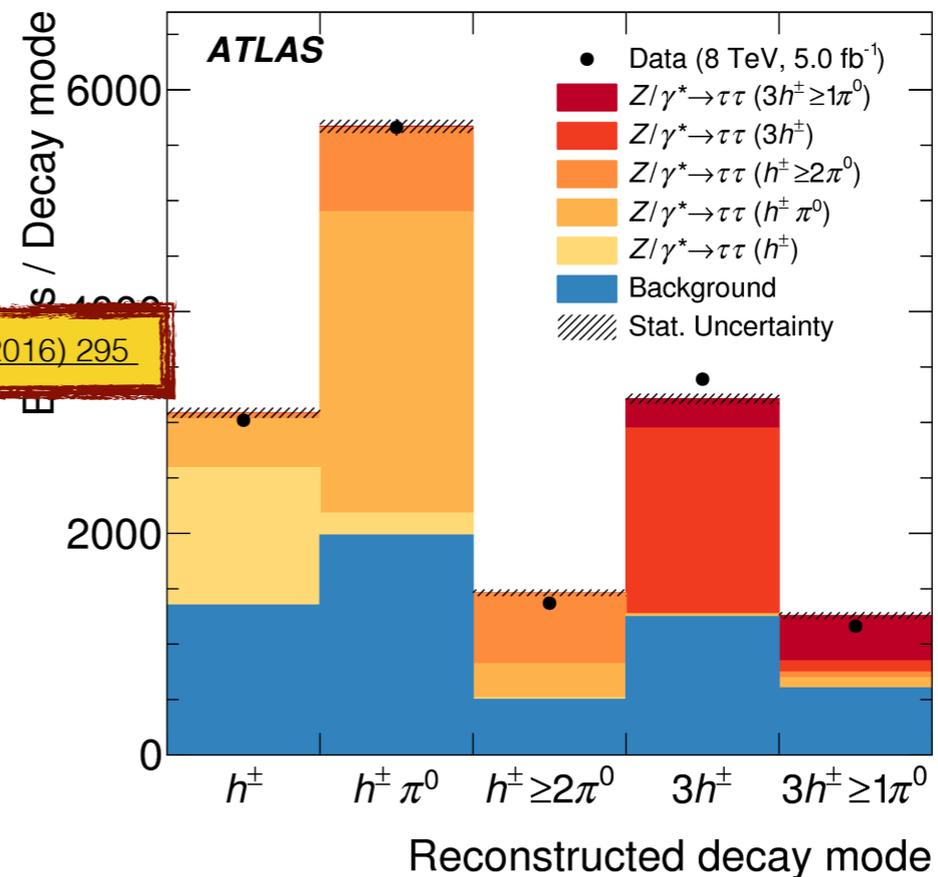
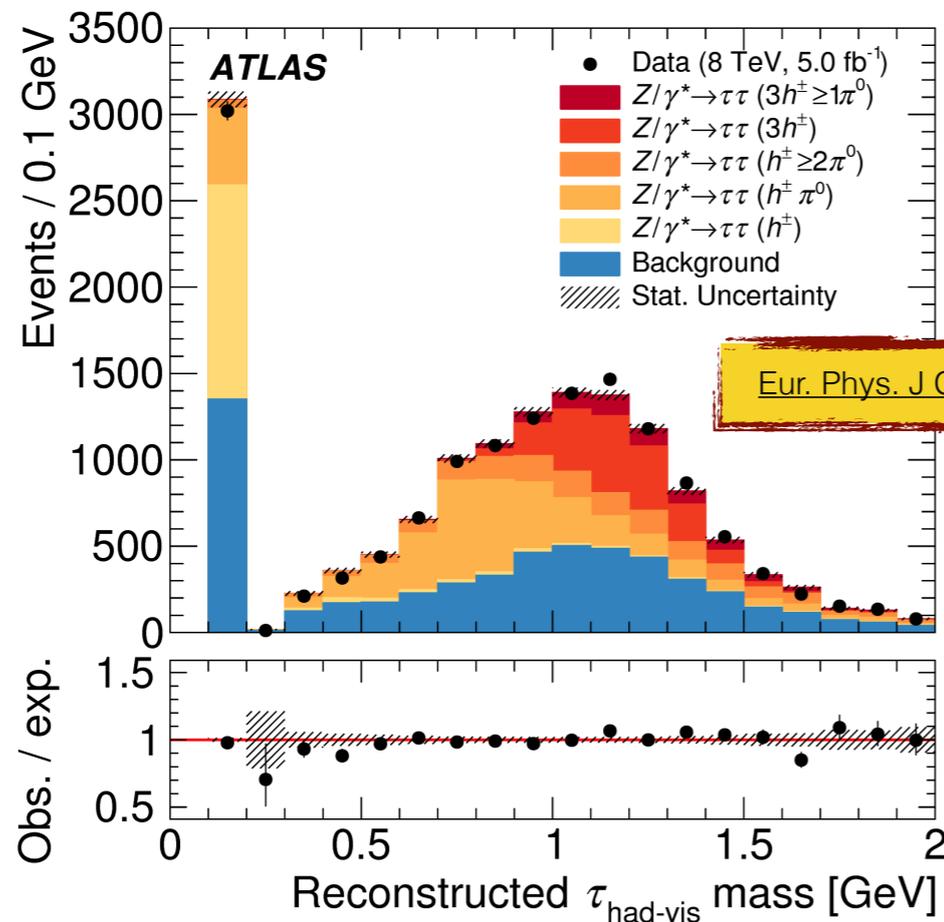


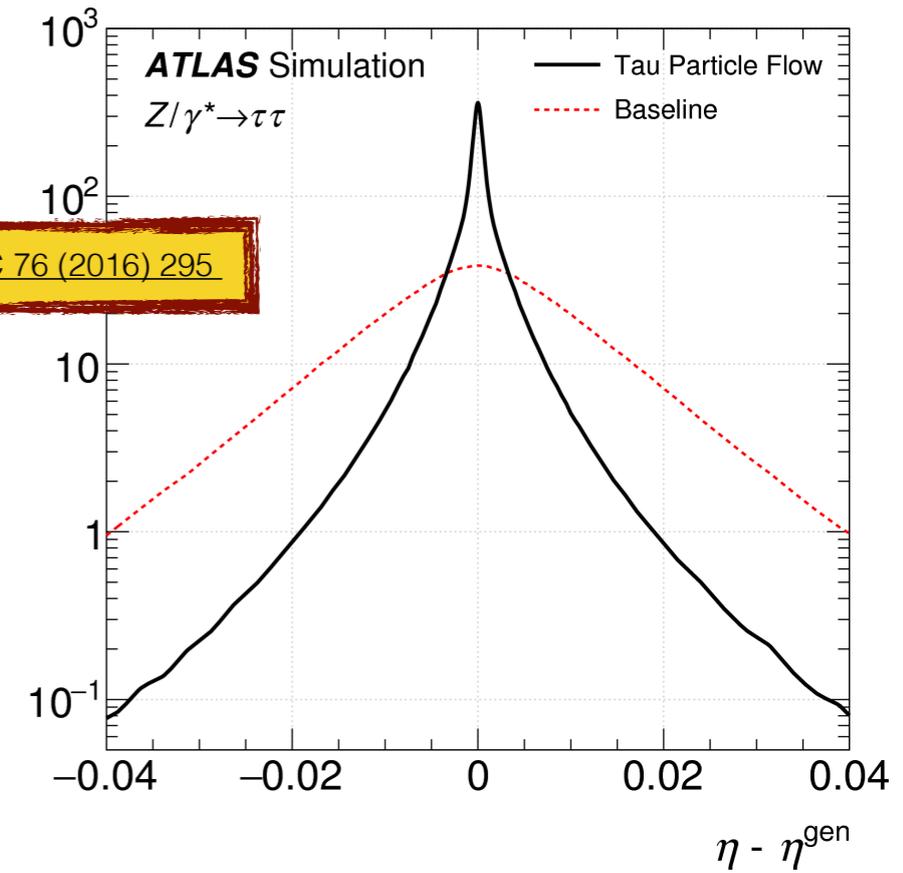
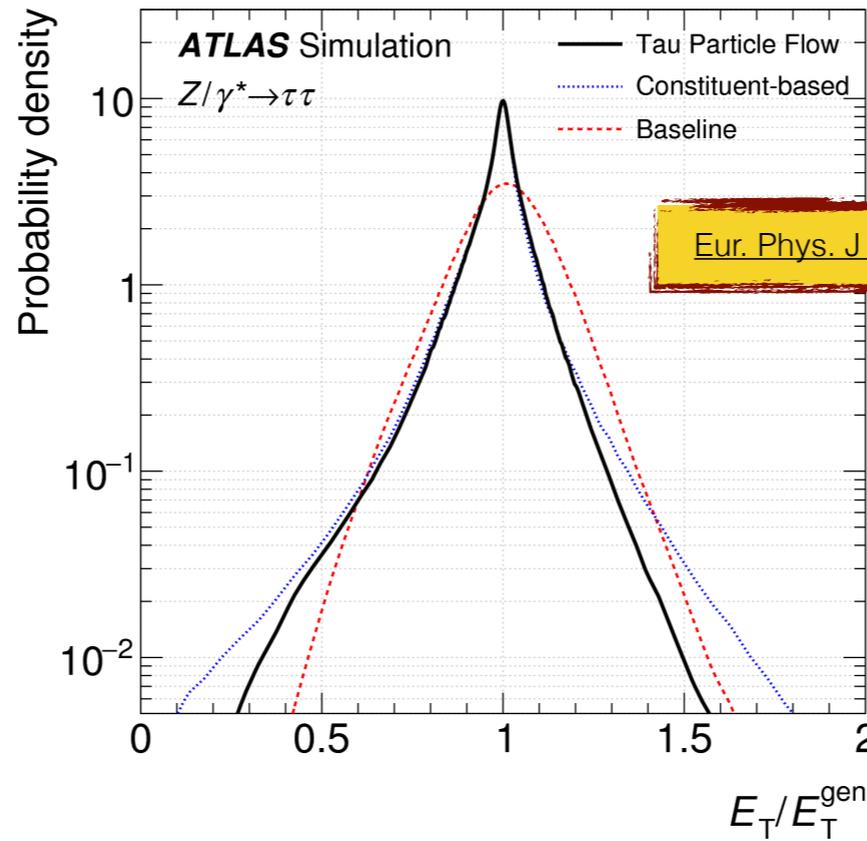
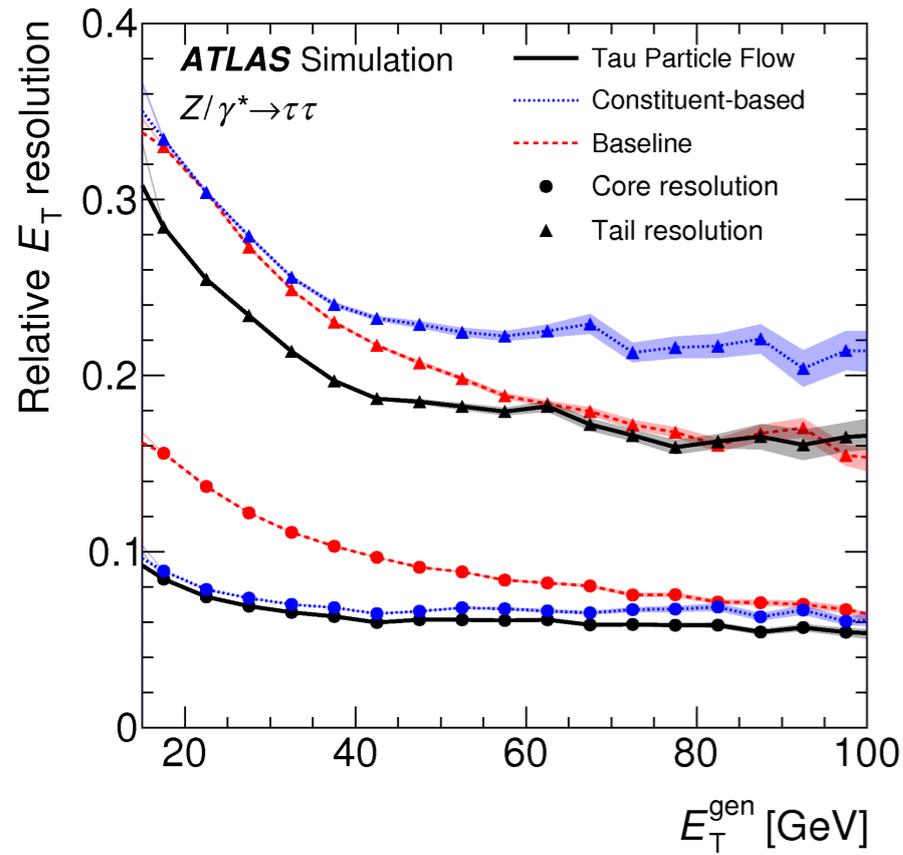
- 3 additional BDTs are used to identify five different decay modes using the output of the π^0 BDT and other observables
- Allows decay-mode specific fake tau estimates, construction of spin observables, etc.

ATLAS Simulation
Tau Particle Flow Diagonal fraction: 74.7%

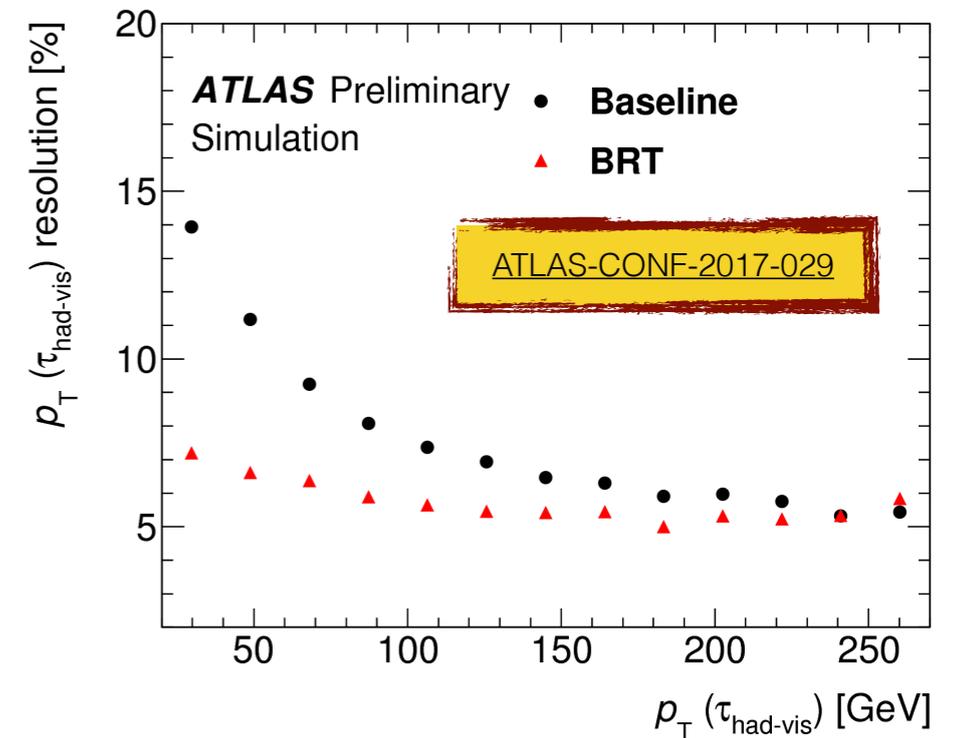
Reconstructed decay mode	h^\pm	$h^\pm \pi^0$	$h^\pm \geq 2\pi^0$	$3h^\pm$	$3h^\pm \geq 1\pi^0$
$3h^\pm \geq 1\pi^0$	0.2	2.5	3.6	5.3	56.6
$3h^\pm$	0.2	0.6	0.3	92.5	40.2
$h^\pm \geq 2\pi^0$	0.4	6.0	35.4	0.1	0.4
$h^\pm \pi^0$	9.4	74.8	56.3	0.9	2.5
h^\pm	89.7	16.0	4.3	1.2	0.3

Generated decay mode

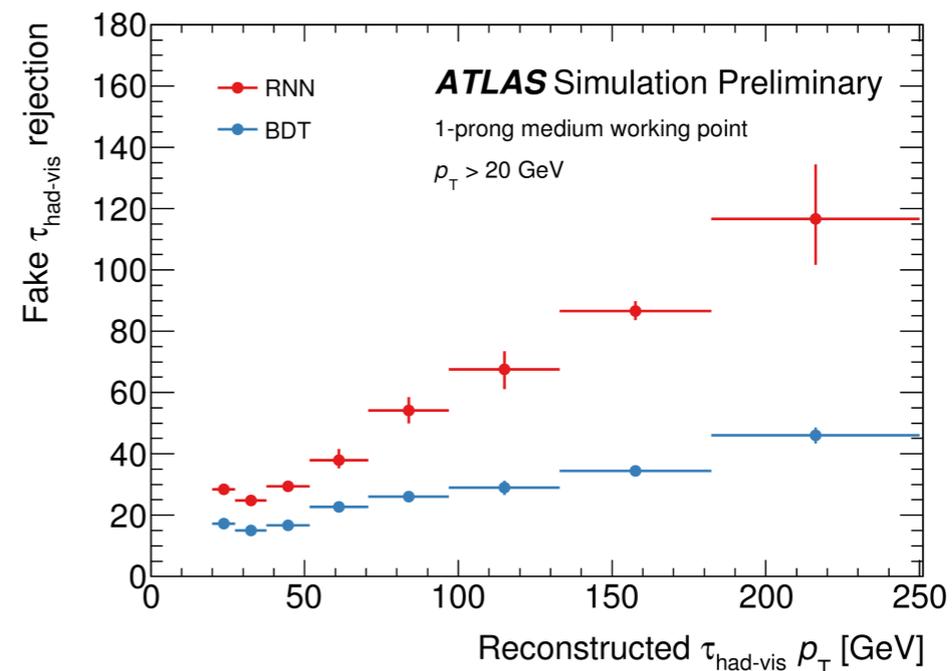
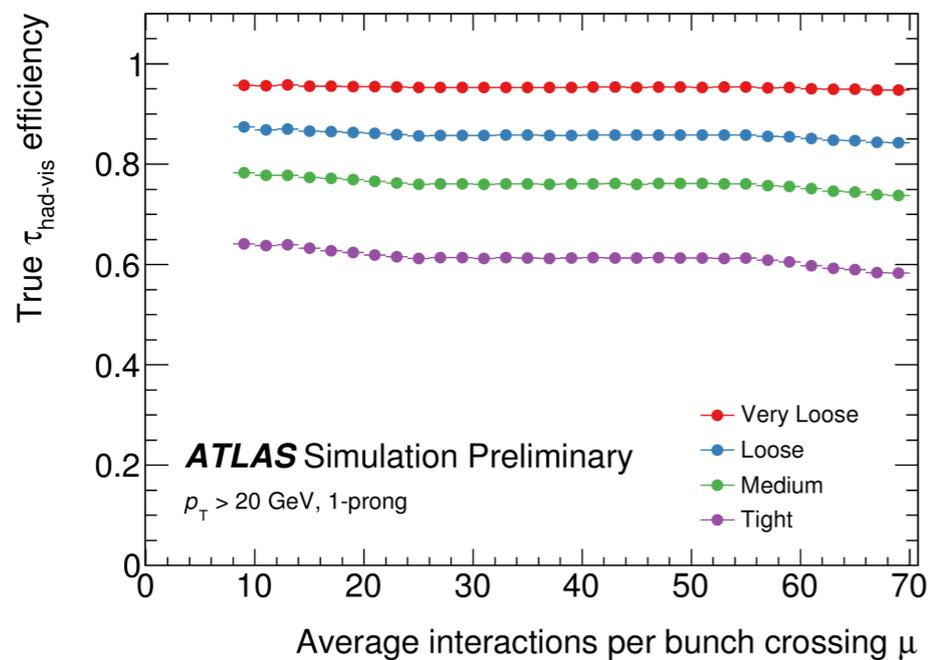
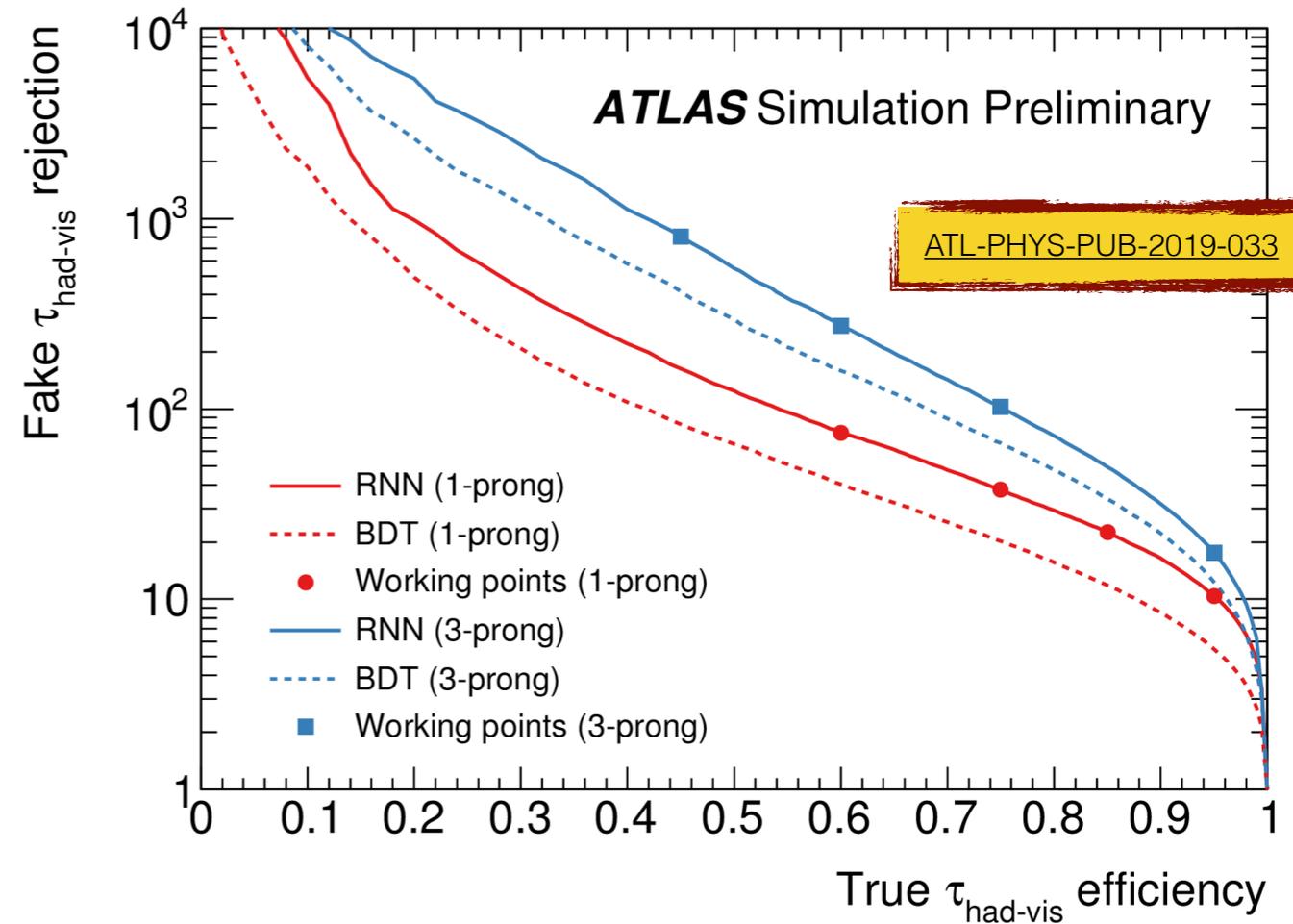




- Tau particle flow provides great improvement over simple calorimeter-based energy measurement
- Final tau energy is determined by boosted regression tree that combines the calorimeter-based and particle flow measurements depending on energy, decay mode, etc.

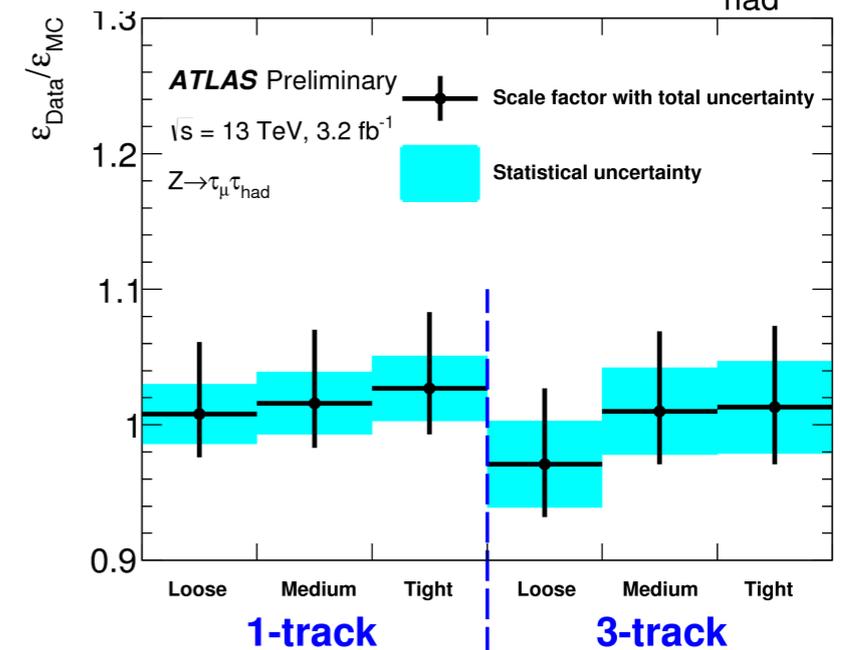
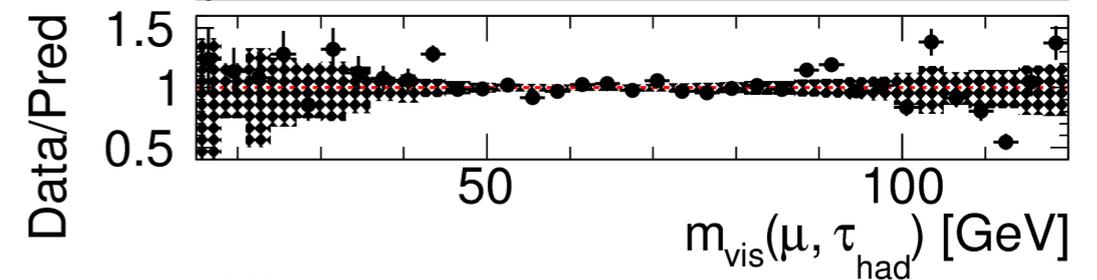
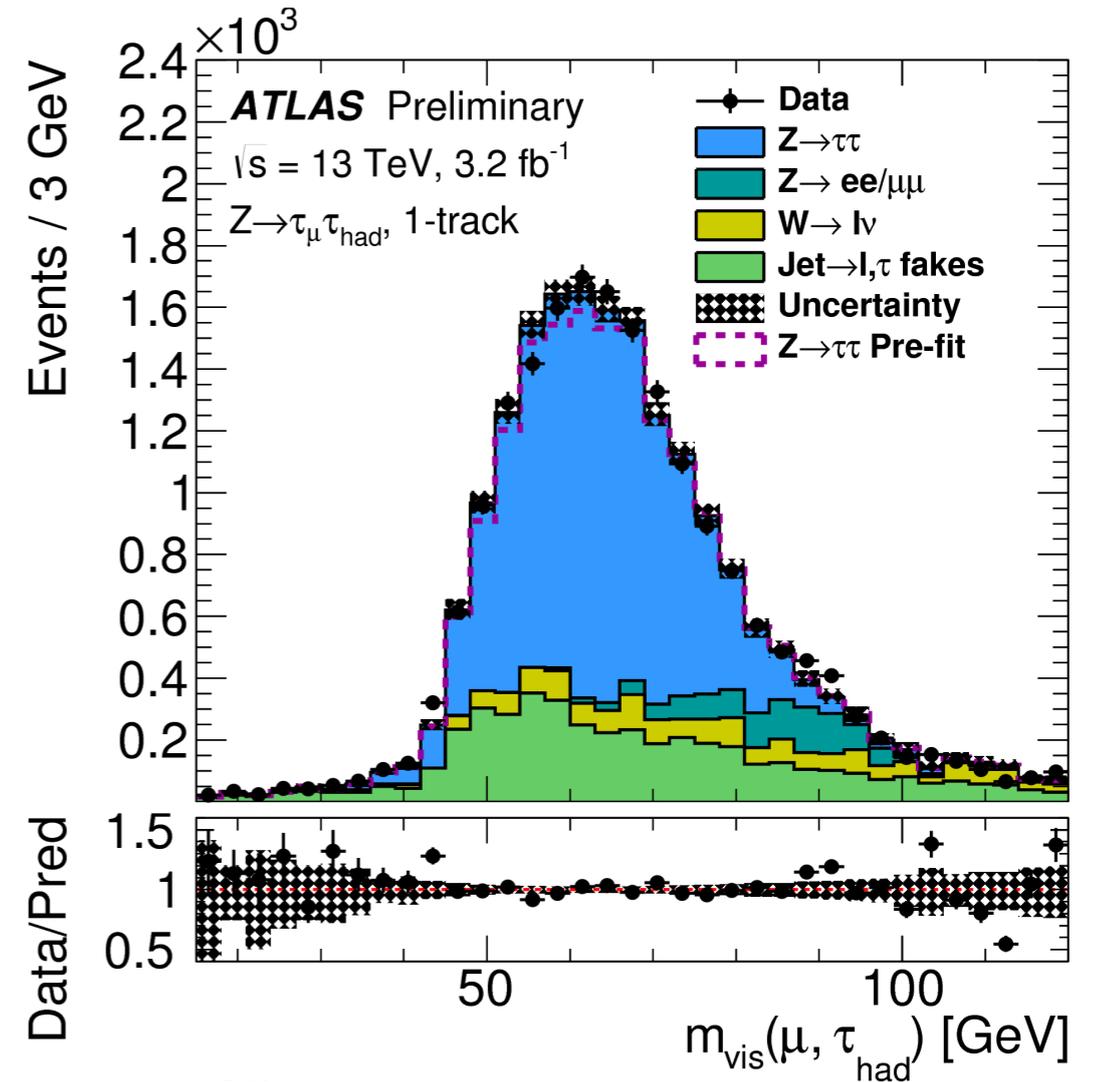
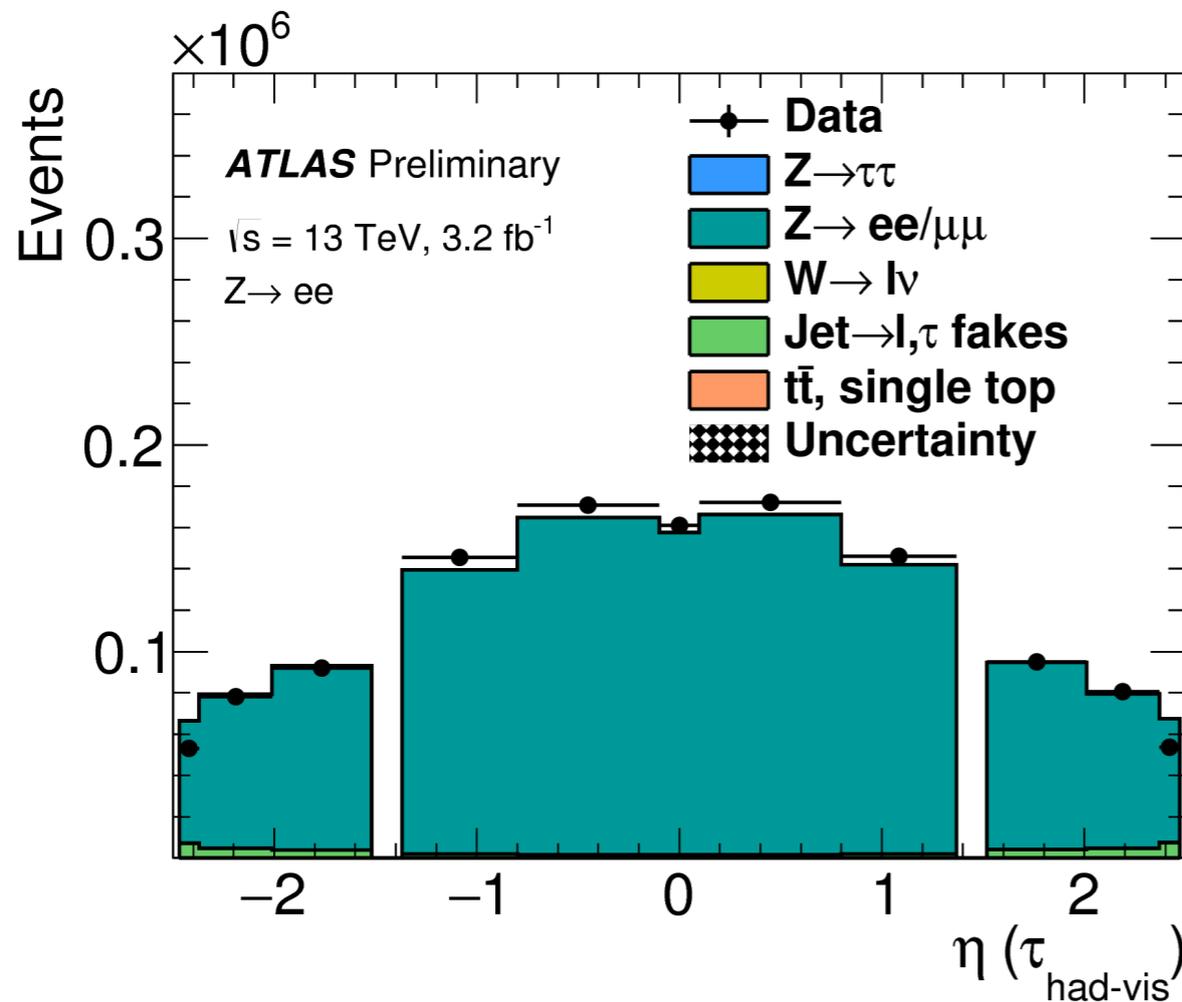


- Use recurrent NN with LSTM architecture to combine information from individual tracks, clusters and several high-level observables into a single classifier
- Significant improvement over BDT that only used high-level observables
- Performance very robust against pile-up

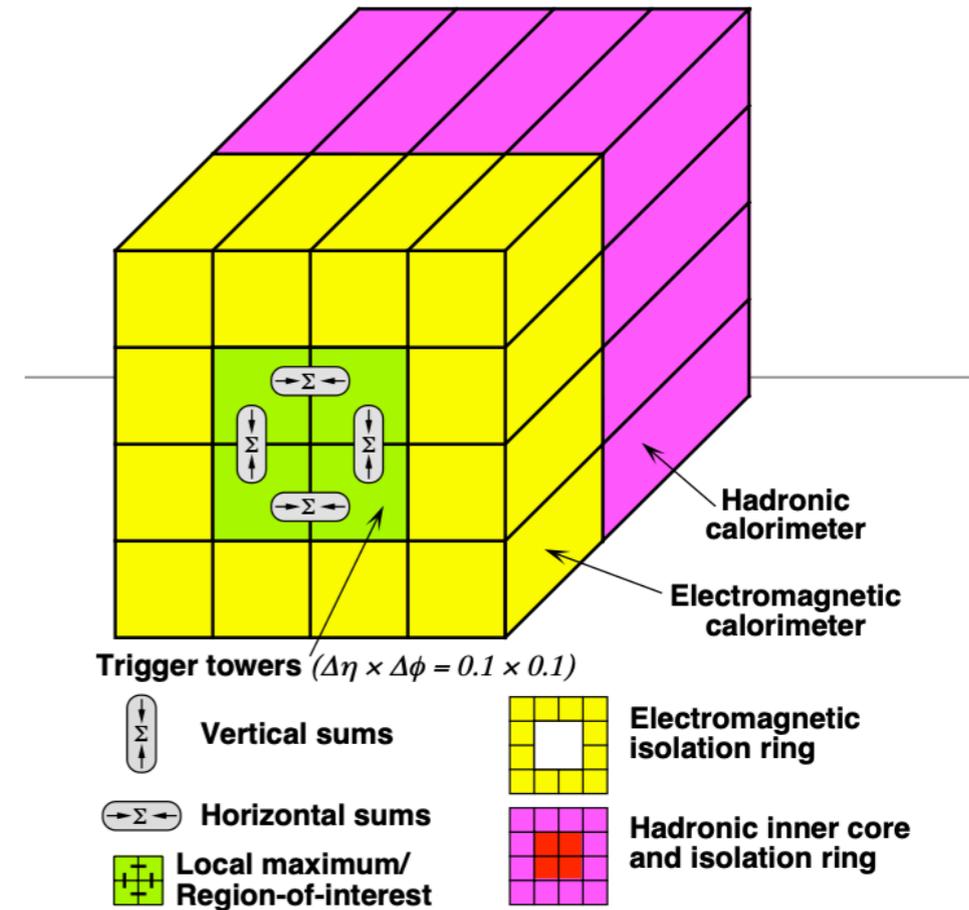


ATLAS-CONF-2017-029

- $Z \rightarrow \tau_\mu \tau_{\text{had}}$ provides a clean final state to calibrate the energy scale (1-3%) and identification efficiency (<5%)
- $Z \rightarrow e^+e^-$ allows to measure electron misidentification efficiency



- L1 Trigger:
 - No track reconstruction
 - Coarse 2x2 calorimeter window
 - Require isolation ring
 - Limited energy resolution leads to slow turn-on curve
- HLT:
 - Simplified version of offline reconstruction
 - Calorimeter-based energy measurement
 - Simpler track reconstruction
 - Simpler tau identification

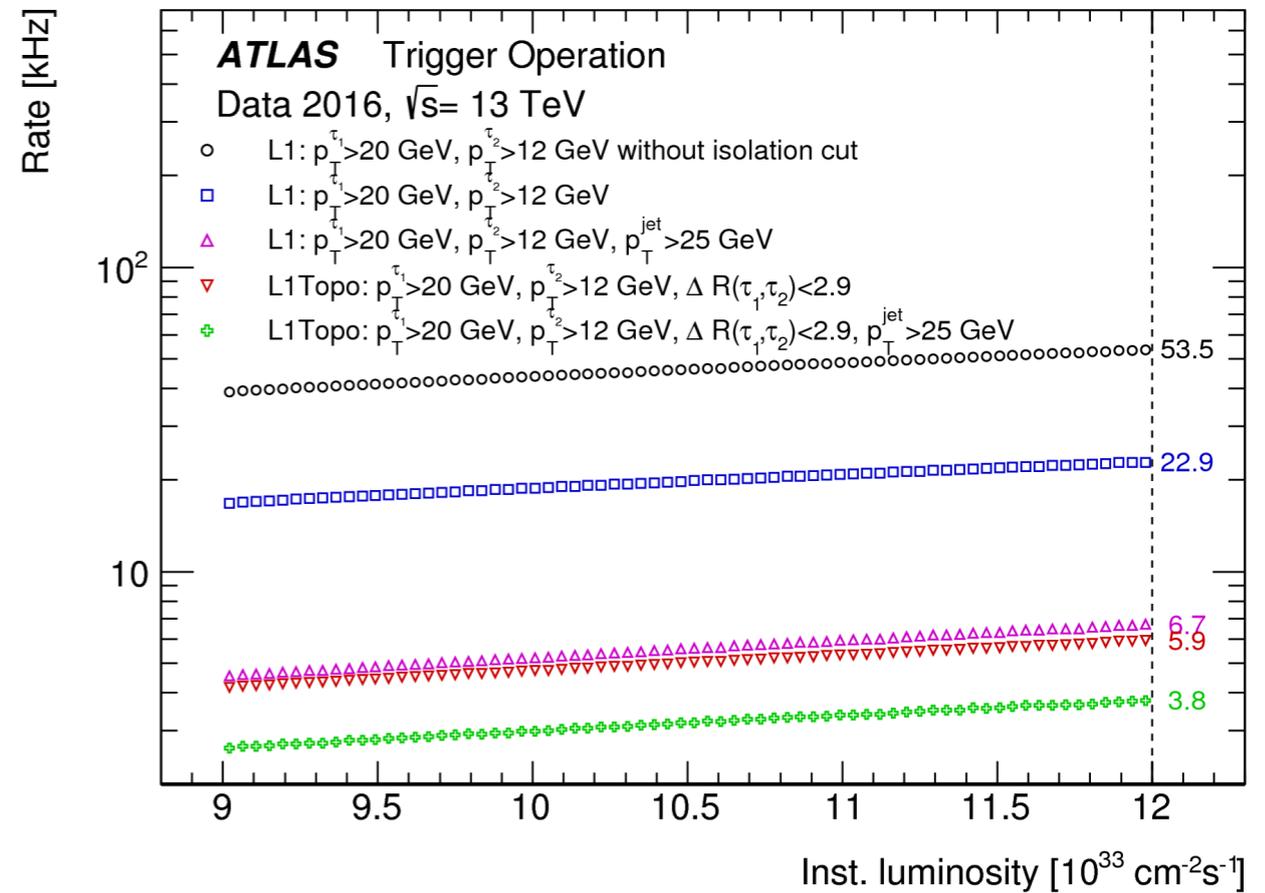
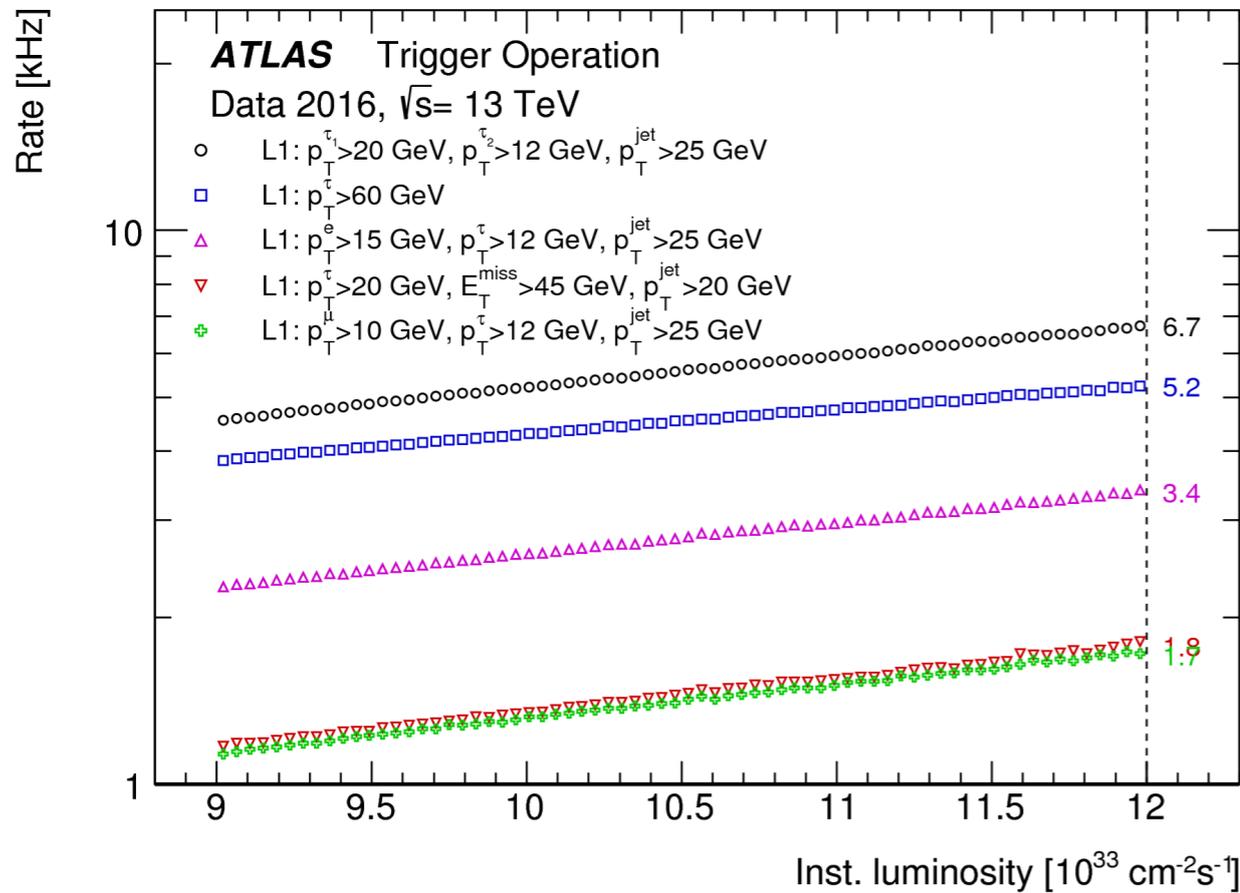


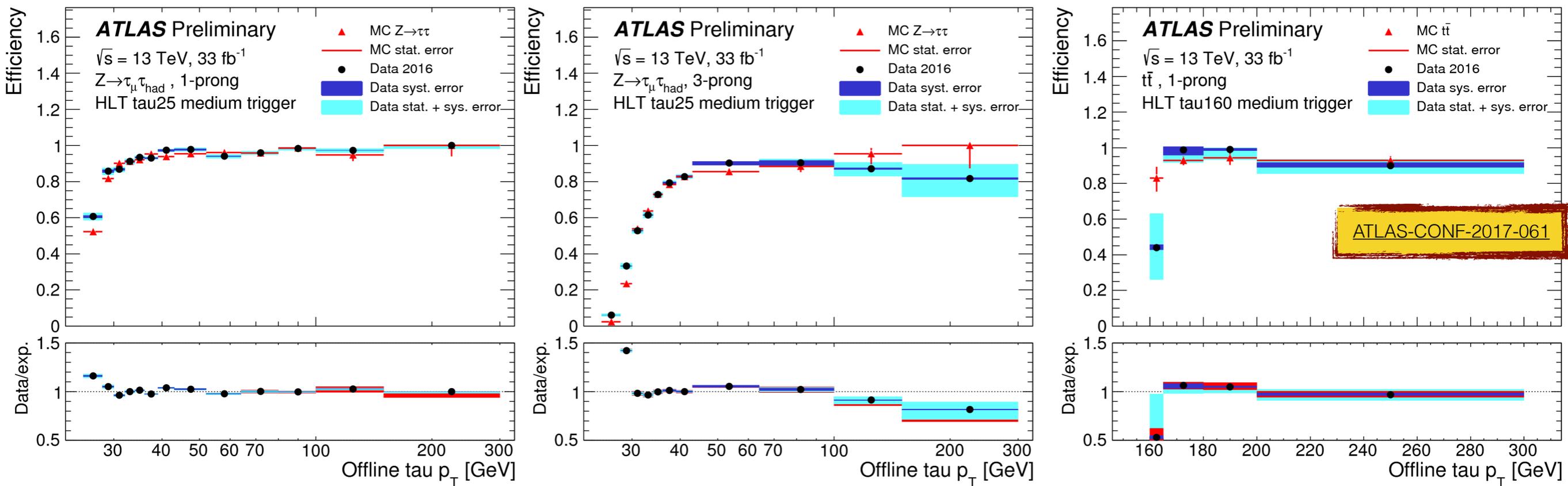
HLT tau trigger step	Mean [ms]	RMS [ms]
Calo-only preselection:		
Topo-clustering	7	3
$\tau_{\text{had-vis}}$ reconstruction	1	0
Track preselection:		
First stage fast tracking	32	16
Second stage fast tracking	27	14
$\tau_{\text{had-vis}}$ reconstruction	1	0
Offline-like selection:		
Precision tracking	21	12
$\tau_{\text{had-vis}}$ reconstruction and BDT	1	0

ATLAS-CONF-2017-061

- Single tau, di-tau and tau+X triggers are available
- Di-tau triggers require additional jet at L1 to achieve acceptable rate

Trigger	Typical offline selection	Trigger selection		Trigger rate at $1.2 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$	
		L1	HLT	L1 [kHz]	HLT [Hz]
τ	$p_T^\tau > 170 \text{ GeV}$	60	160	5.2	15
2τ	$p_T^\tau > 40, 30 \text{ GeV}, p_T^{\text{jet}} > 80 \text{ GeV}$	20i,12i,25	35,25,-	6.7	35
$\tau+e$	isolated $e, p_T^e > 18 \text{ GeV},$ $p_T^\tau > 30 \text{ GeV}, p_T^{\text{jet}} > 80 \text{ GeV}$	15i,12i,25	17i,25,-	3.4	9
$\tau+\mu$	isolated $\mu, p_T^\mu > 15 \text{ GeV},$ $p_T^\tau > 30 \text{ GeV}, p_T^{\text{jet}} > 80 \text{ GeV}$	10,12i,25	14i,25,-	1.7	7
$\tau+E_T^{\text{miss}}$	$p_T^\tau > 40 \text{ GeV}, E_T^{\text{miss}} > 150 \text{ GeV},$ $p_T^{\text{jet}} > 70 \text{ GeV}$	20i,45,20	35,70,-	1.8	8
2τ with L1Topo	$p_T^\tau > 40, 30 \text{ GeV}, \Delta R(\tau, \tau) < 2.6$	20i,12i,2.9	35,25,-	5.9	39
	$p_T^\tau > 40, 30 \text{ GeV}, \Delta R(\tau, \tau) < 2.6,$ $p_T^{\text{jet}} > 80 \text{ GeV}$	20i,12i,2.9,25	35,25,-,-	3.8	24

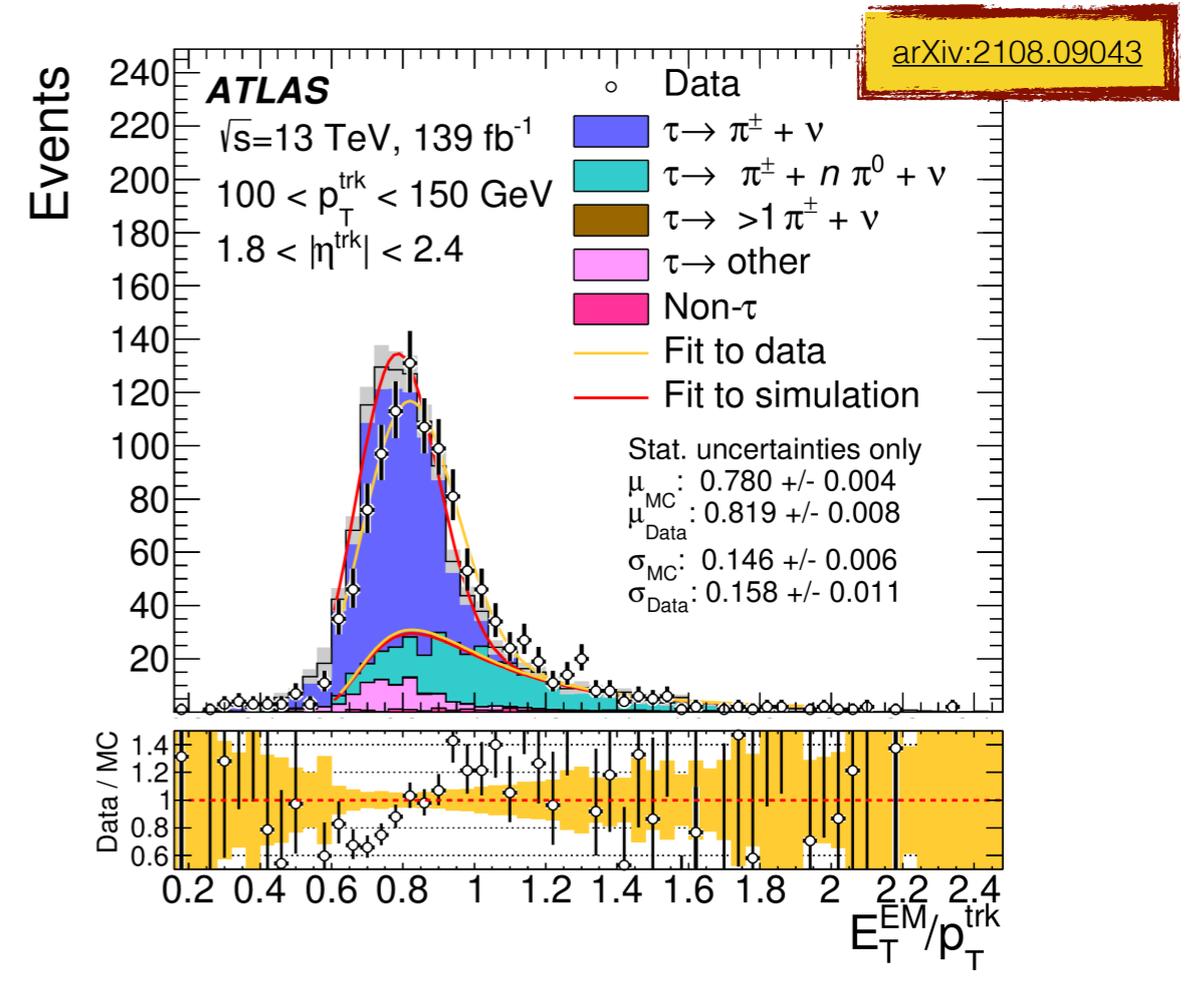
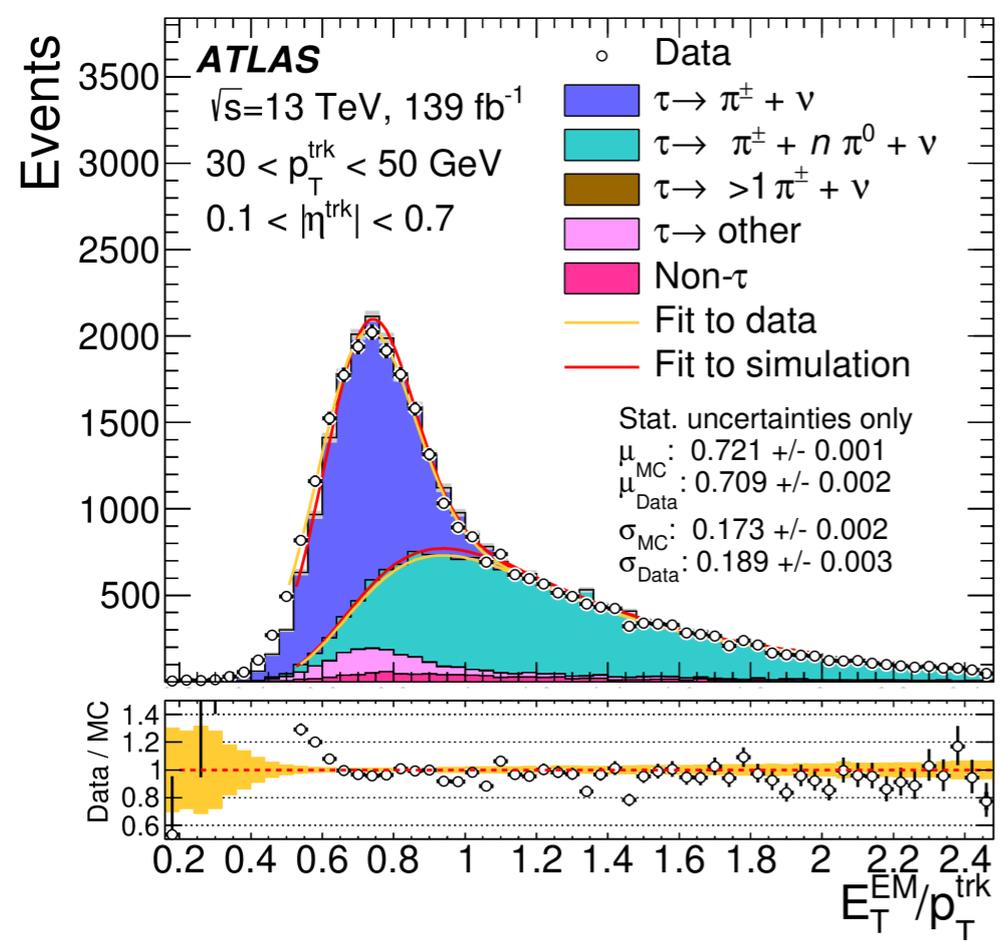


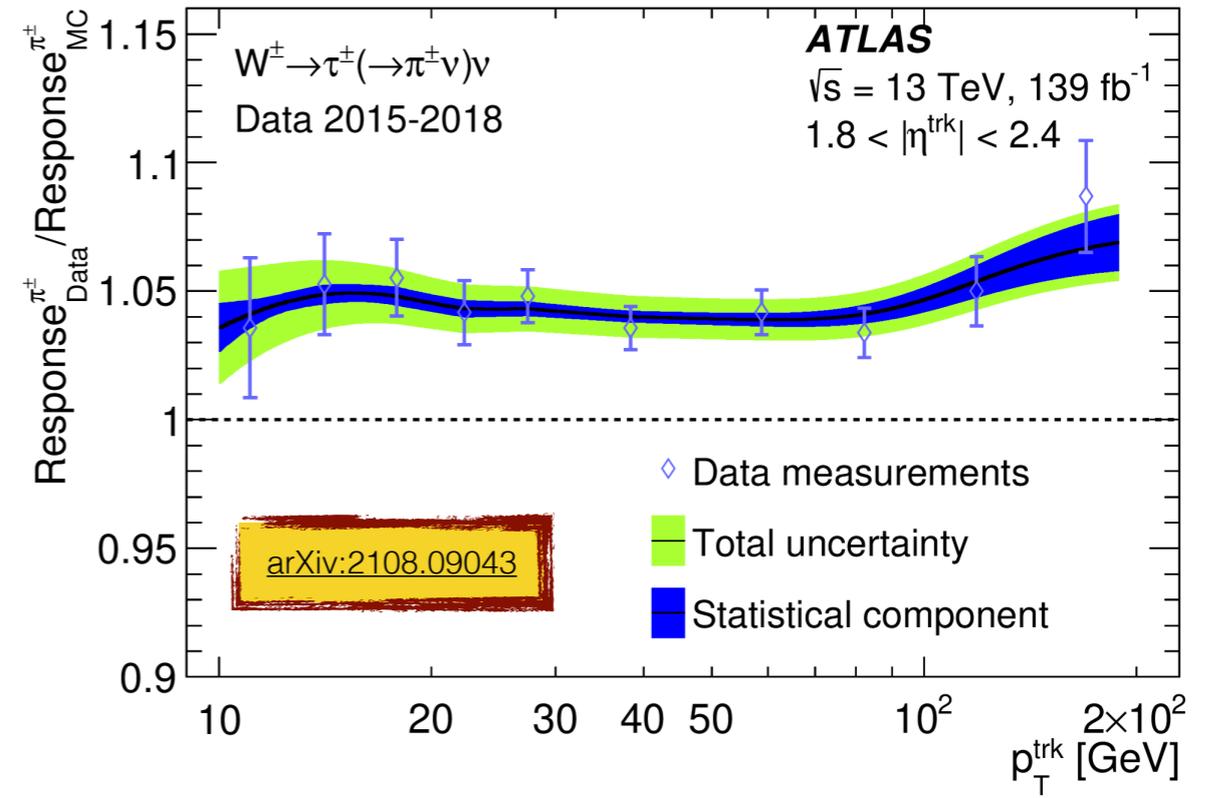
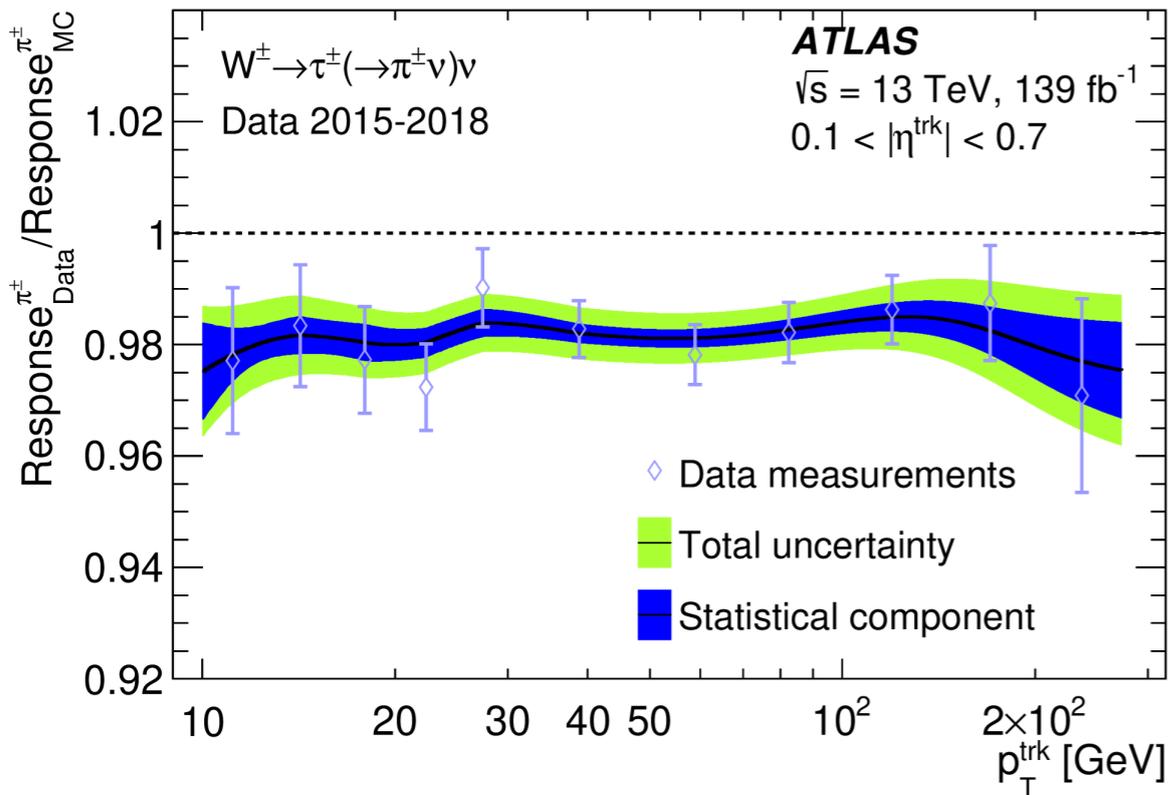


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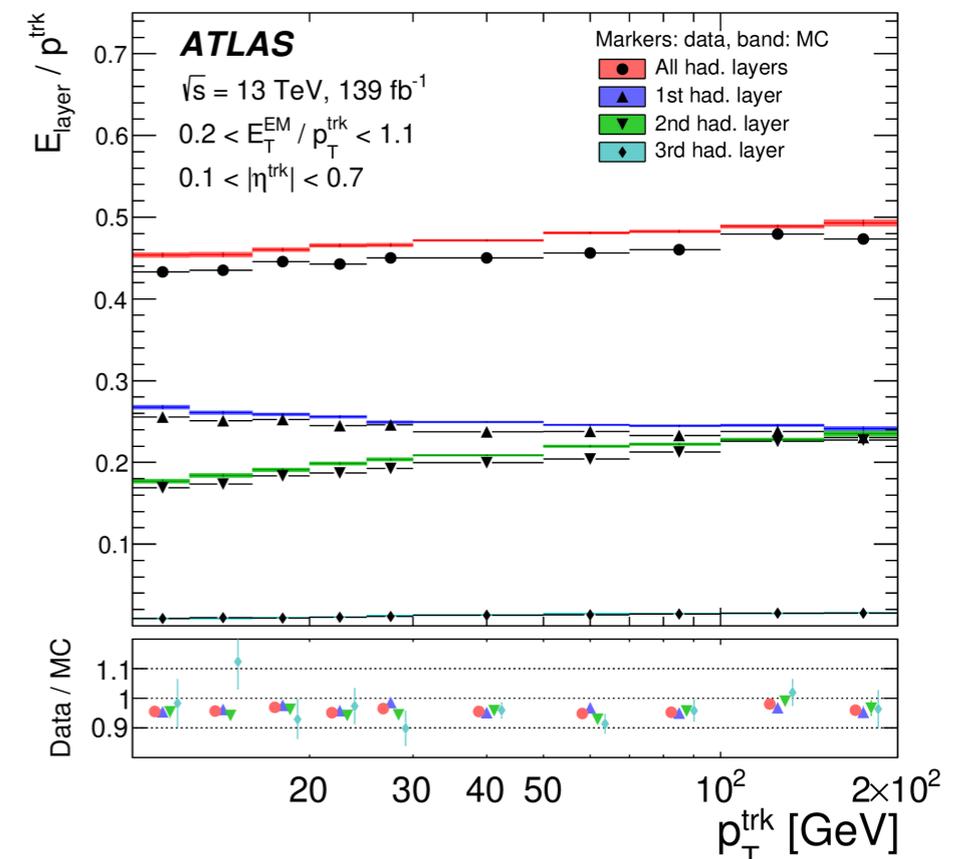
- Trigger efficiencies are measured using $Z \rightarrow \tau_{\mu} \tau_{\text{had}}$ for low p_T and $t\bar{t} \rightarrow b\bar{b} \mu \nu_{\mu} \tau_{\text{had}} \nu_{\tau}$ for high p_T τ -leptons
- Use independent muon trigger in both cases to select events
- Trigger turn-on well modelled in simulation, efficiency measured with 1-10% precision

- Calibration of the response in the hadronic calorimeter from isolated pion tracks in MinBias events (low p_T) and test beam data taken at the SPS ($p_T < 350$ GeV)
- New measurement using isolated high p_T pions from $W \rightarrow \tau^\pm (\rightarrow \pi^\pm \nu_\tau) \nu_\tau$ decays allows calibration up to several 100 GeV using pp collision data
- Select isolated tracks with large d_0 and $E_T^{\text{miss}} > 150$ GeV. Sum of calorimeter energy within $\Delta R < 0.15$ around track after correction for average pile-up
- Extract mean and width of peak in E/p distribution

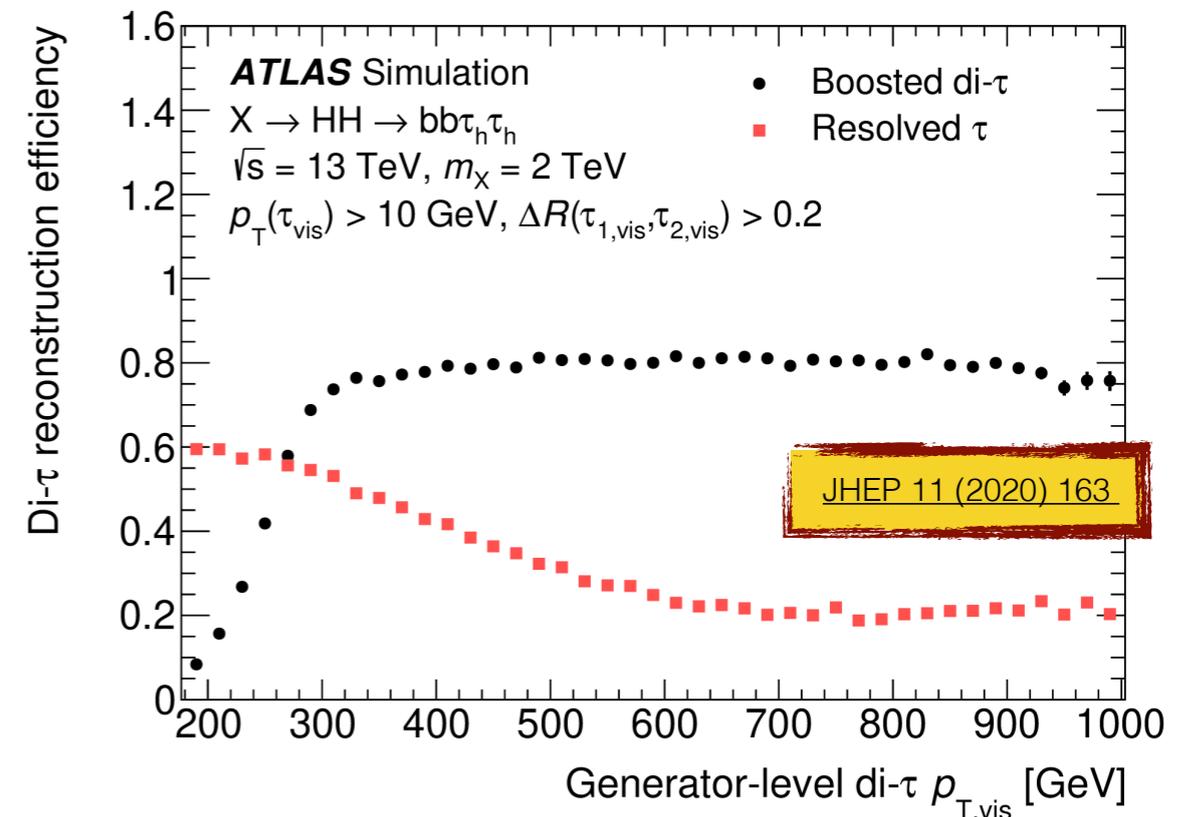
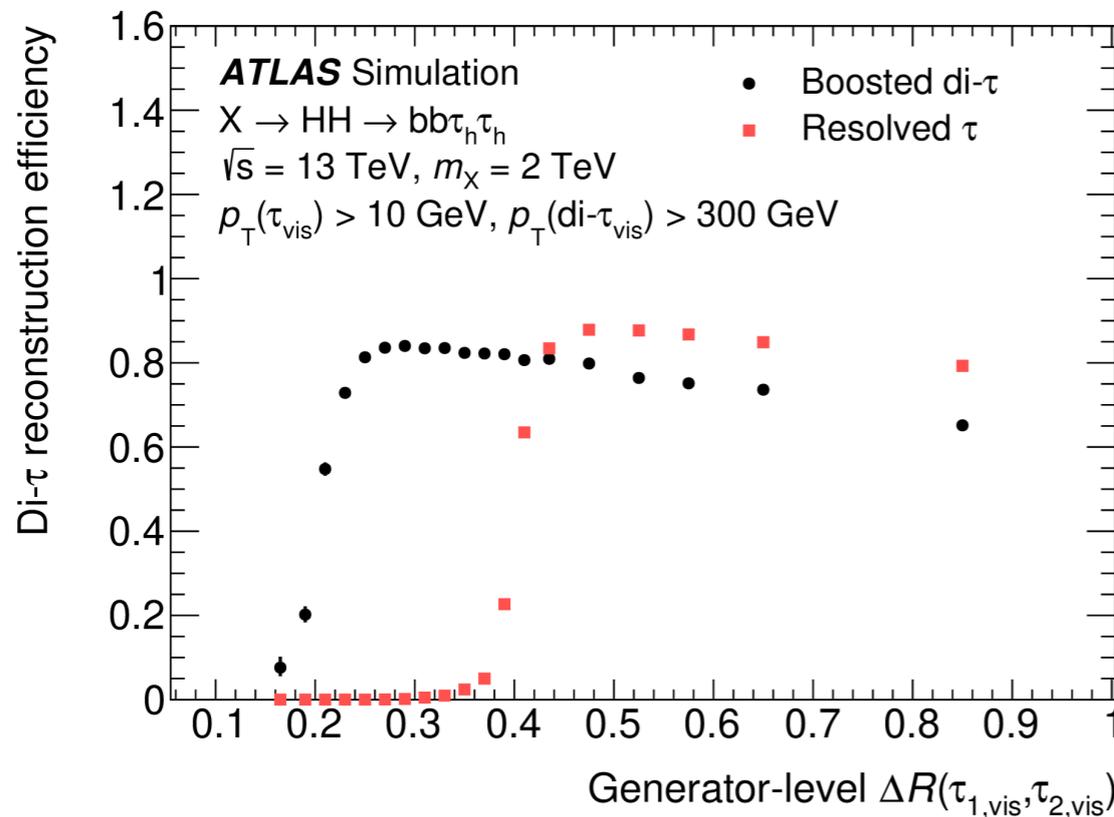
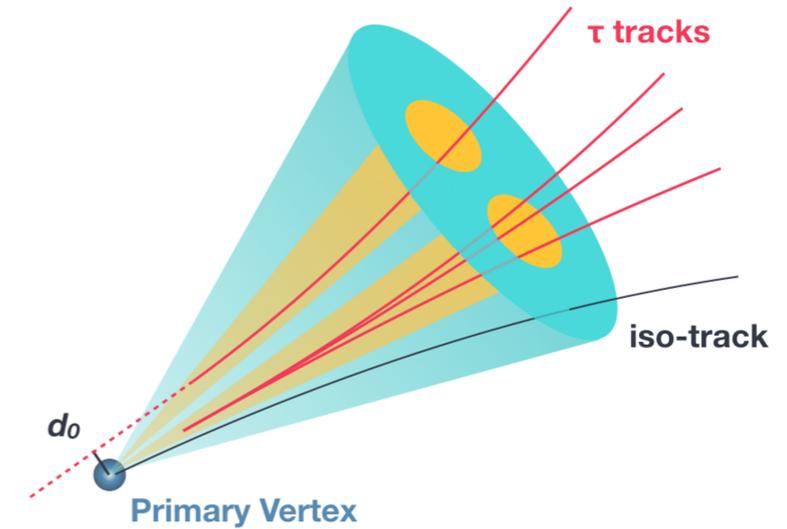




- Measured single hadron response E/p , width of E/p and longitudinal energy distribution over large p_T range and depending on η
- Allows to validate and improve the simulation of the hadronic calorimeter response in ATLAS

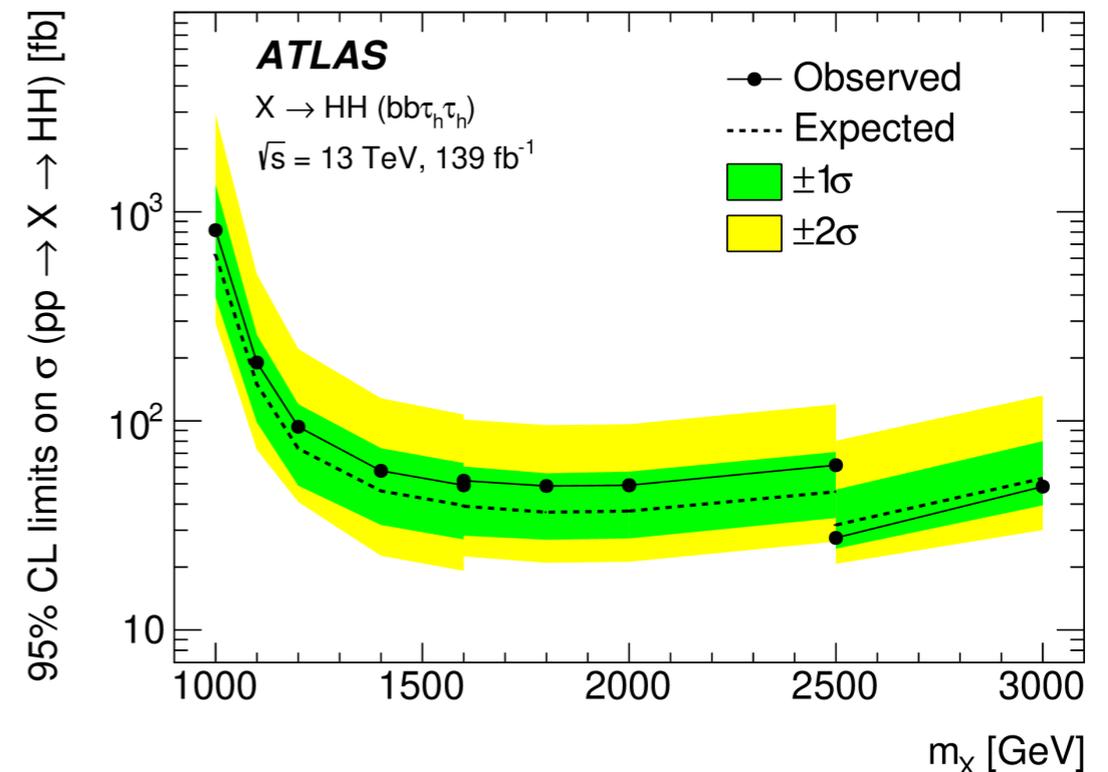
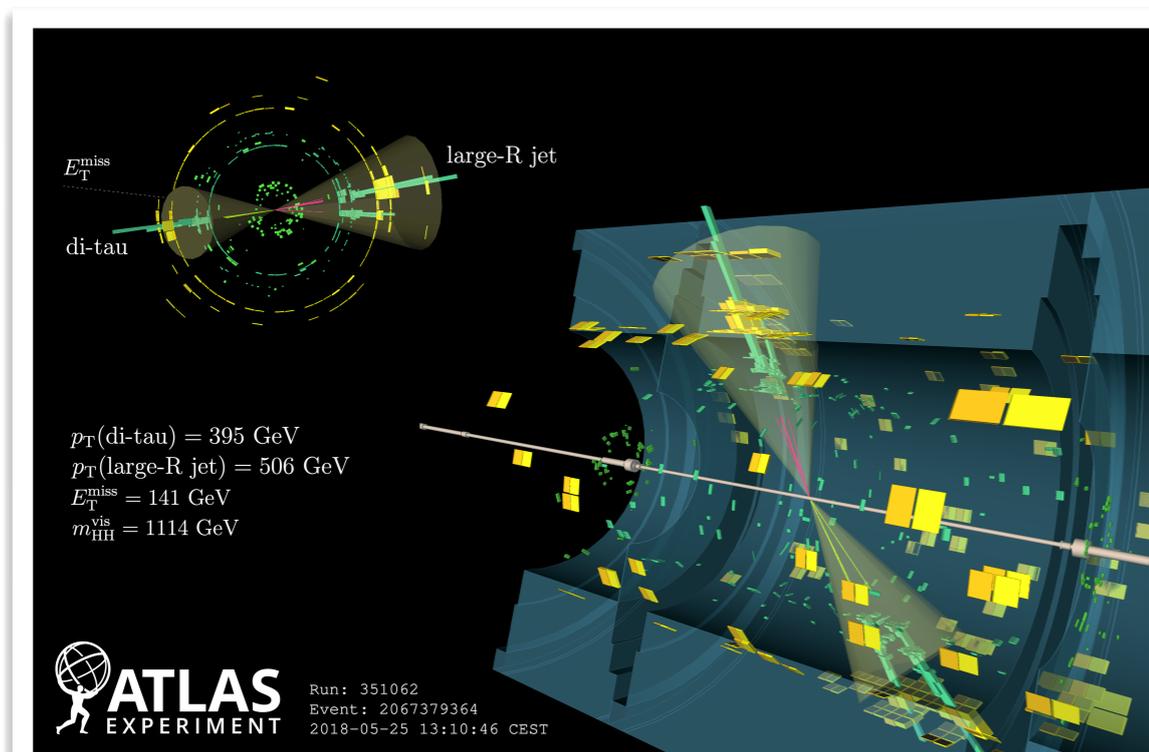
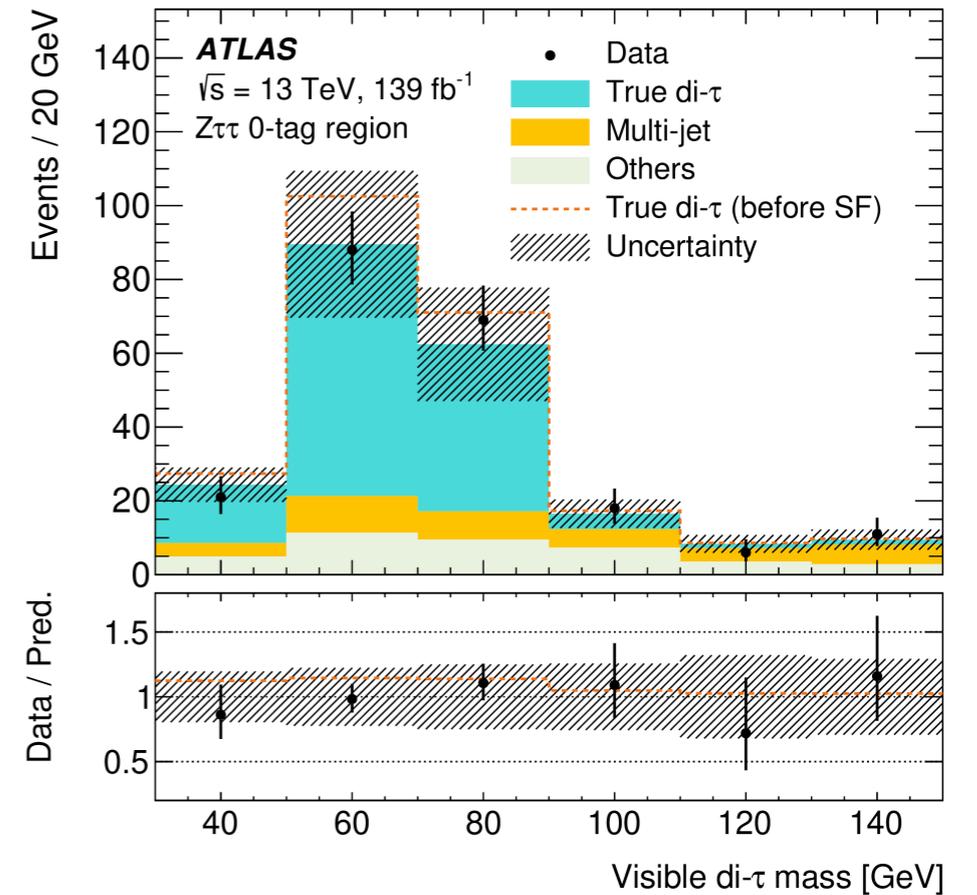


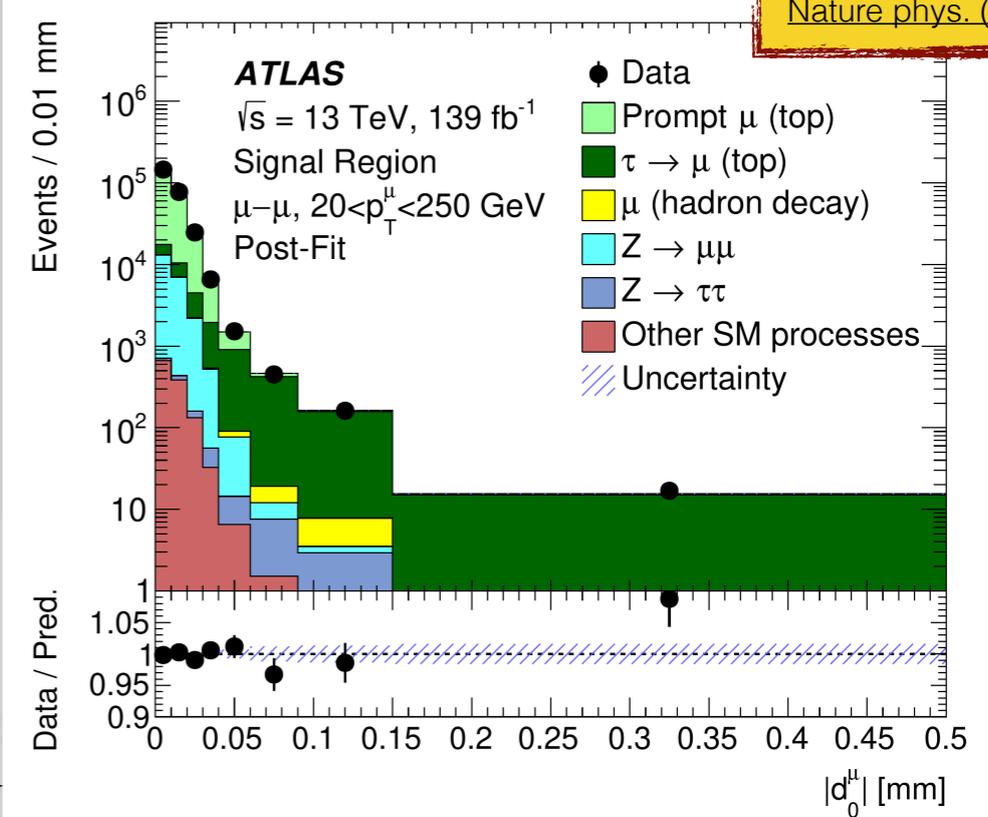
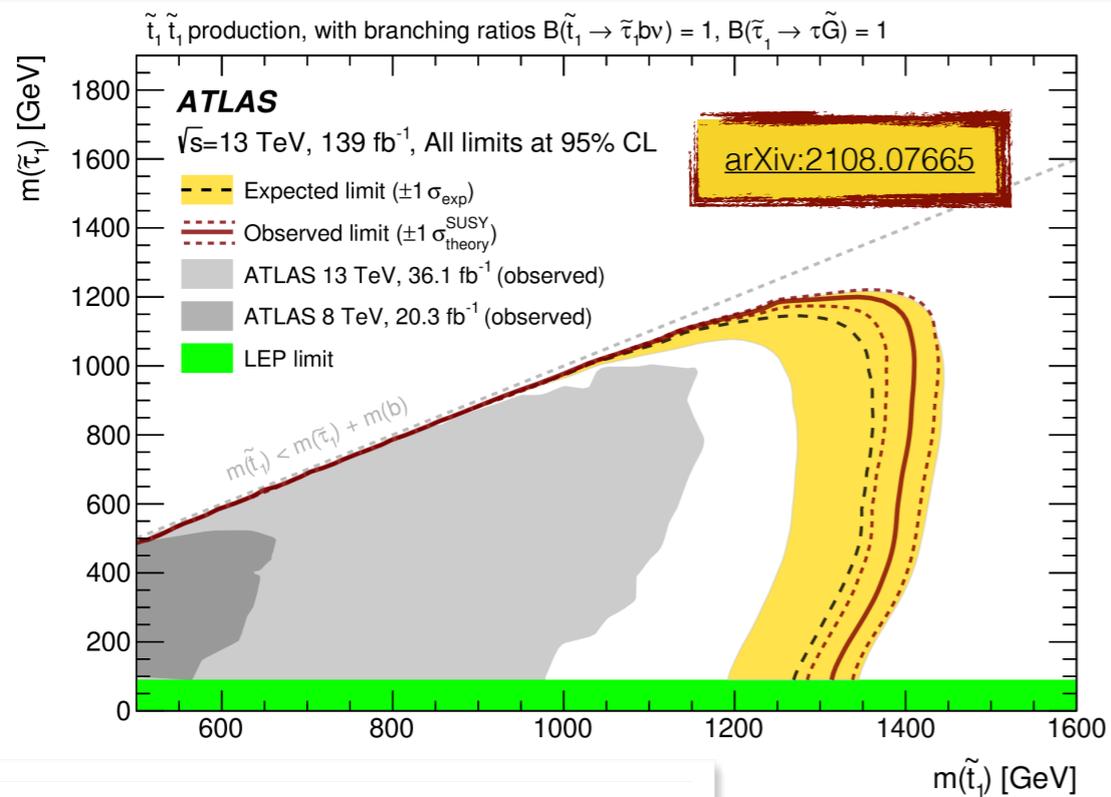
- Boosted di-tau systems fail the standard tau reconstruction due to the $R=0.4$ seed jets
- Dedicated reconstruction starting from anti- k_T jets with $R=1.0$ and $p_T > 300$ GeV; identify $R=0.2$ sub-jets that correspond to two hadronic τ -lepton decays
- Dedicated BDT using similar input as the single tau ID is used to reject fake tau backgrounds



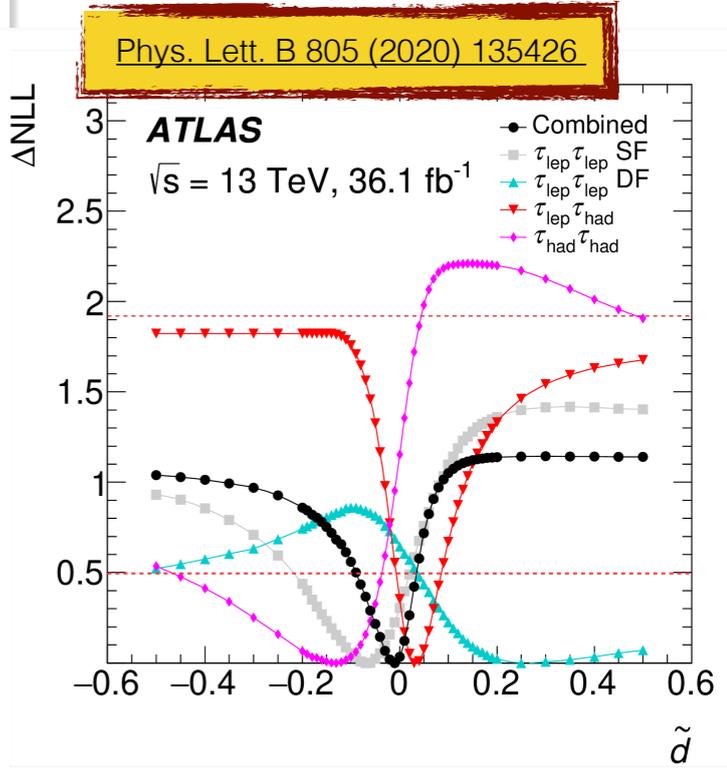
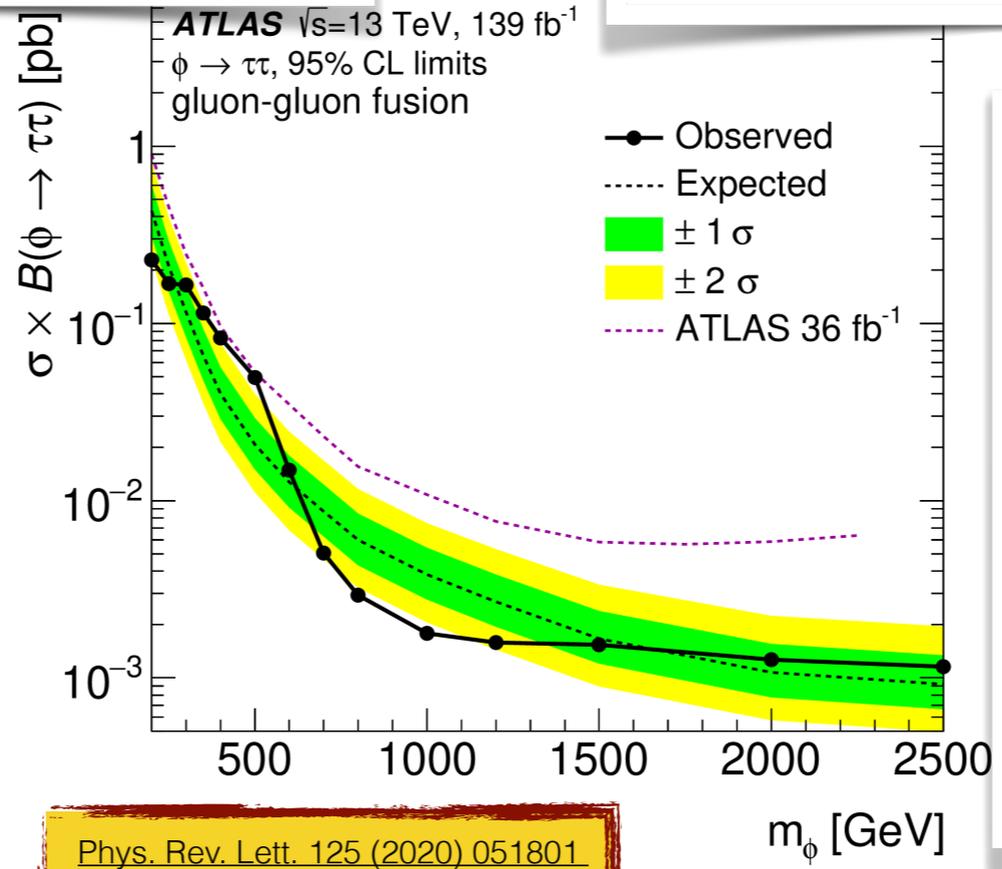
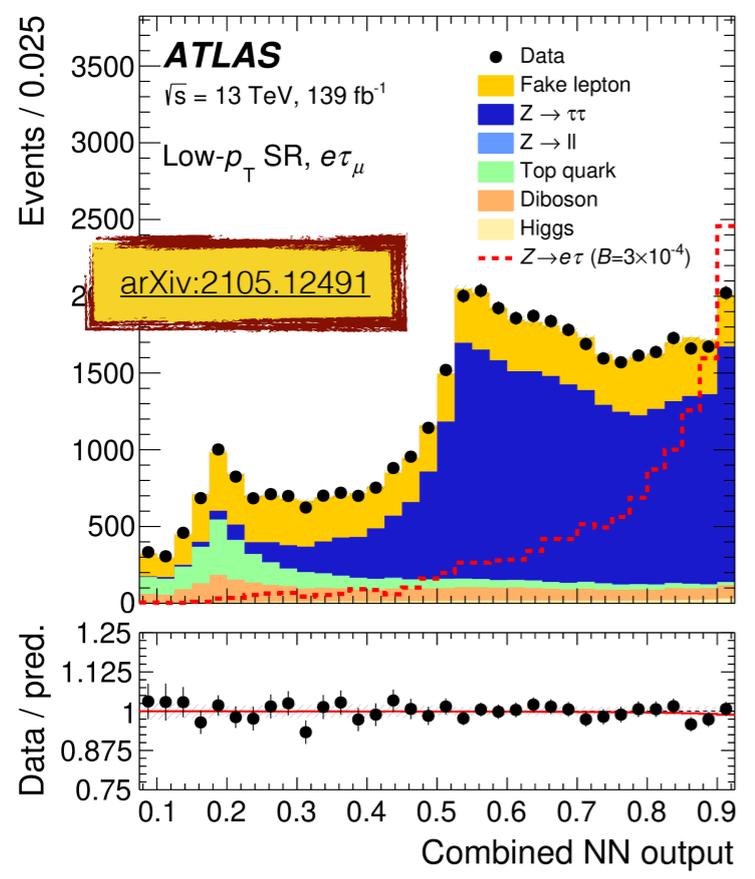
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- Use boosted $Z \rightarrow \tau\tau$ events to calibrate selection and reconstruction efficiency
- Can be used to search for heavy resonances like $HH \rightarrow b\bar{b}\tau^+\tau^-$ up to very high masses
- Trigger on large-R jet from boosted $b\bar{b}$ or $\tau^+\tau^-$ system





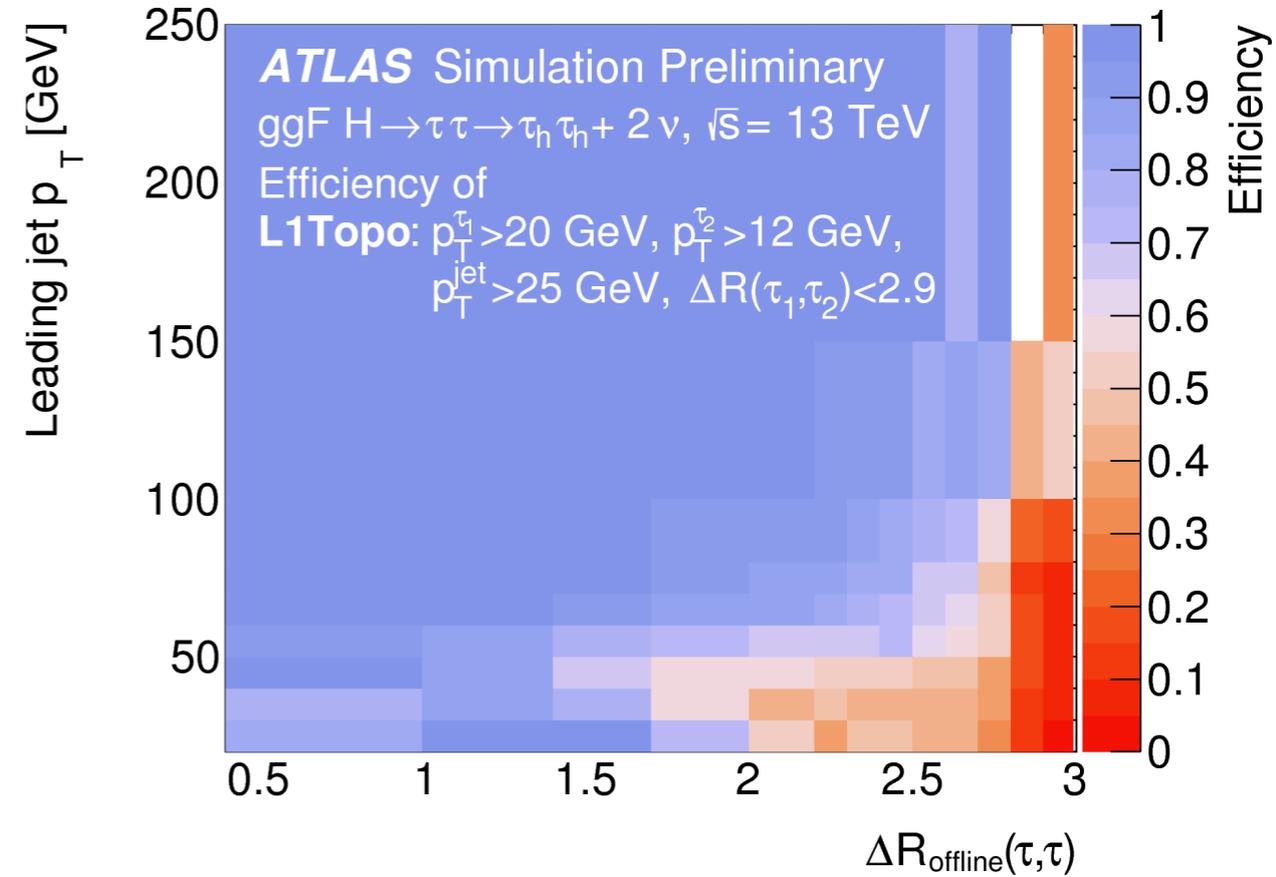
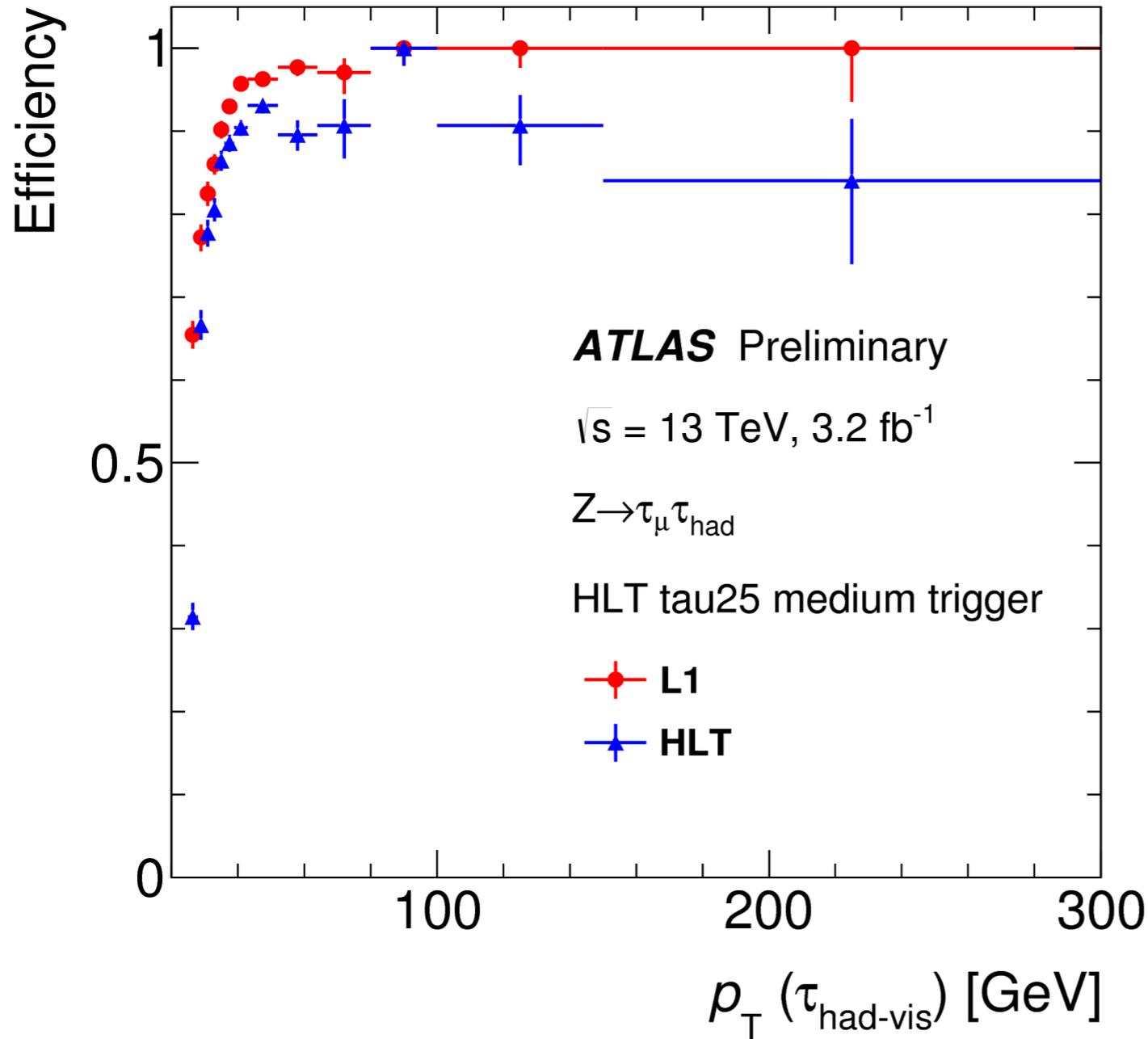
Nature phys. (2021)



Conclusions

- Machine learning techniques allow for excellent reconstruction of hadronic τ -lepton decays even at high pile-up conditions
- Reconstruction and identification techniques are being developed further and will be available in re-reconstruction of ATLAS data
- Reports on recent measurements using τ -leptons in ATLAS at this conference:
 - Lepton Flavor Violation Searches at ATLAS and CMS - Luca Fiorini
 - Searches for new physics with leptons using the ATLAS detector - Matteo Franchini
 - Searches for leptoquarks with the ATLAS detector - Zhiyuan Li
 - Higgs boson measurements in couplings to tau leptons with the ATLAS experiment - Christopher Young

Backup



Cluster pseudorapidity, $|\eta^{\text{clus}}|$

Magnitude of the energy-weighted η position of the cluster

Cluster width, $\langle r^2 \rangle^{\text{clus}}$

Second moment in distance to the shower axis

Cluster η width in EM1, $\langle \eta_{\text{EM1}}^2 \rangle^{\text{clus}}$

Second moment in η in EM1

Cluster η width in EM2, $\langle \eta_{\text{EM2}}^2 \rangle^{\text{clus}}$

Second moment in η in EM2

Cluster depth, $\lambda_{\text{centre}}^{\text{clus}}$

Distance of the shower centre from the calorimeter front face measured along the shower axis

Cluster PS energy fraction, $f_{\text{PS}}^{\text{clus}}$

Fraction of energy in the PS

Cluster core energy fraction, $f_{\text{core}}^{\text{clus}}$

Sum of the highest cell energy in PS, EM1 and EM2 divided by the total energy

Cluster logarithm of energy variance, $\log \langle \rho^2 \rangle^{\text{clus}}$

Logarithm of the second moment in energy density

Cluster EM1 core energy fraction, $f_{\text{core,EM1}}^{\text{clus}}$

Energy in the three innermost EM1 cells divided by the total energy in EM1

Cluster asymmetry with respect to track, $\mathcal{A}_{\text{track}}^{\text{clus}}$

Asymmetry in η - ϕ space of the energy distribution in EM1 with respect to the extrapolated track position

Cluster EM1 cells, $N_{\text{EM1}}^{\text{clus}}$

Number of cells in EM1 with positive energy

Cluster EM2 cells, $N_{\text{EM2}}^{\text{clus}}$

Number of cells in EM2 with positive energy

π^0 identification score of the first π_{cand}^0 , S_1^{BDT}

π^0 identification score of the π_{cand}^0 with the highest π^0 identification score

E_T fraction of the first π_{cand}^0 , $f_{\pi^0,1}$

E_T of the π_{cand}^0 with the highest π^0 identification score, divided by the E_T -sum of all π_{cand}^0 's and h^\pm 's

Hadron separation, $\Delta R(h^\pm, \pi^0)$

ΔR between the h^\pm and the π_{cand}^0 with the highest π^0 identification score

h^\pm distance, D_{h^\pm}

E_T -weighted ΔR between the h^\pm and the $\tau_{\text{had-vis}}$ axis, which is calculated by summing the four-vectors of all h^\pm 's and π_{cand}^0 's

Number of photons, N_γ

Total number of photons in the $\tau_{\text{had-vis}}$, as reconstructed in Section 3.3

π^0 identification score of second π_{cand}^0 , S_2^{BDT}

π^0 identification score of the π_{cand}^0 with the second-highest π^0 identification score

π_{cand}^0 E_T fraction, f_{π^0}

E_T -sum of π_{cand}^0 's, divided by the E_T -sum of π_{cand}^0 's and h^\pm 's

π_{cand}^0 mass, m_{π^0}

Invariant mass calculated from the sum of π_{cand}^0 four-vectors

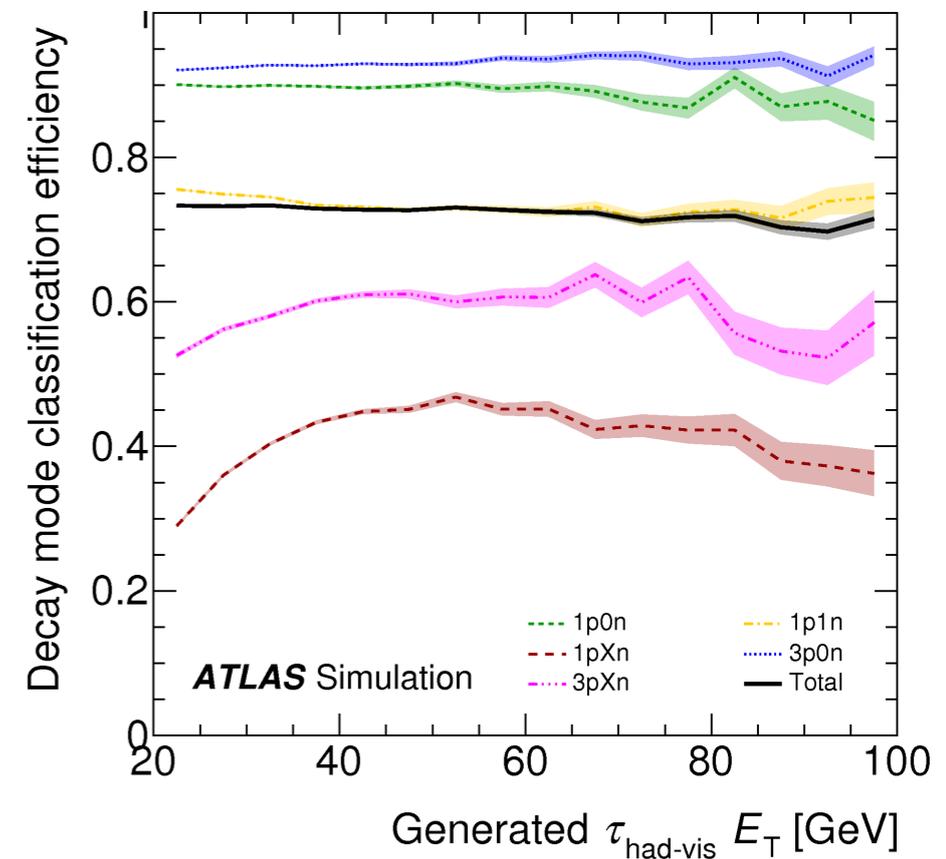
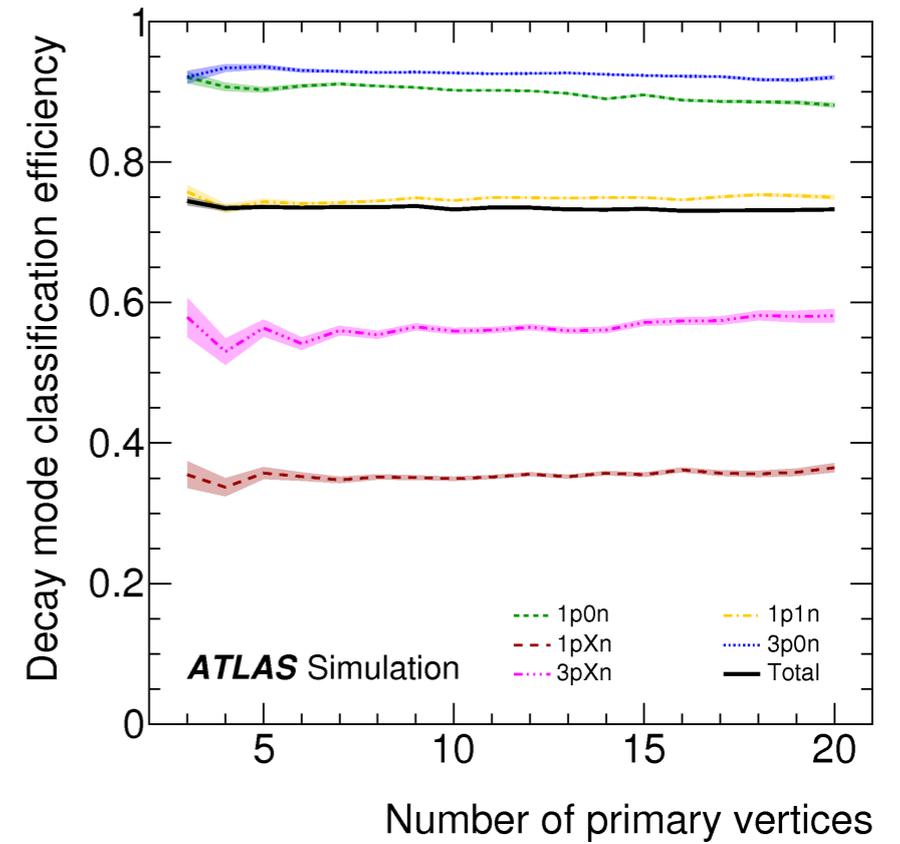
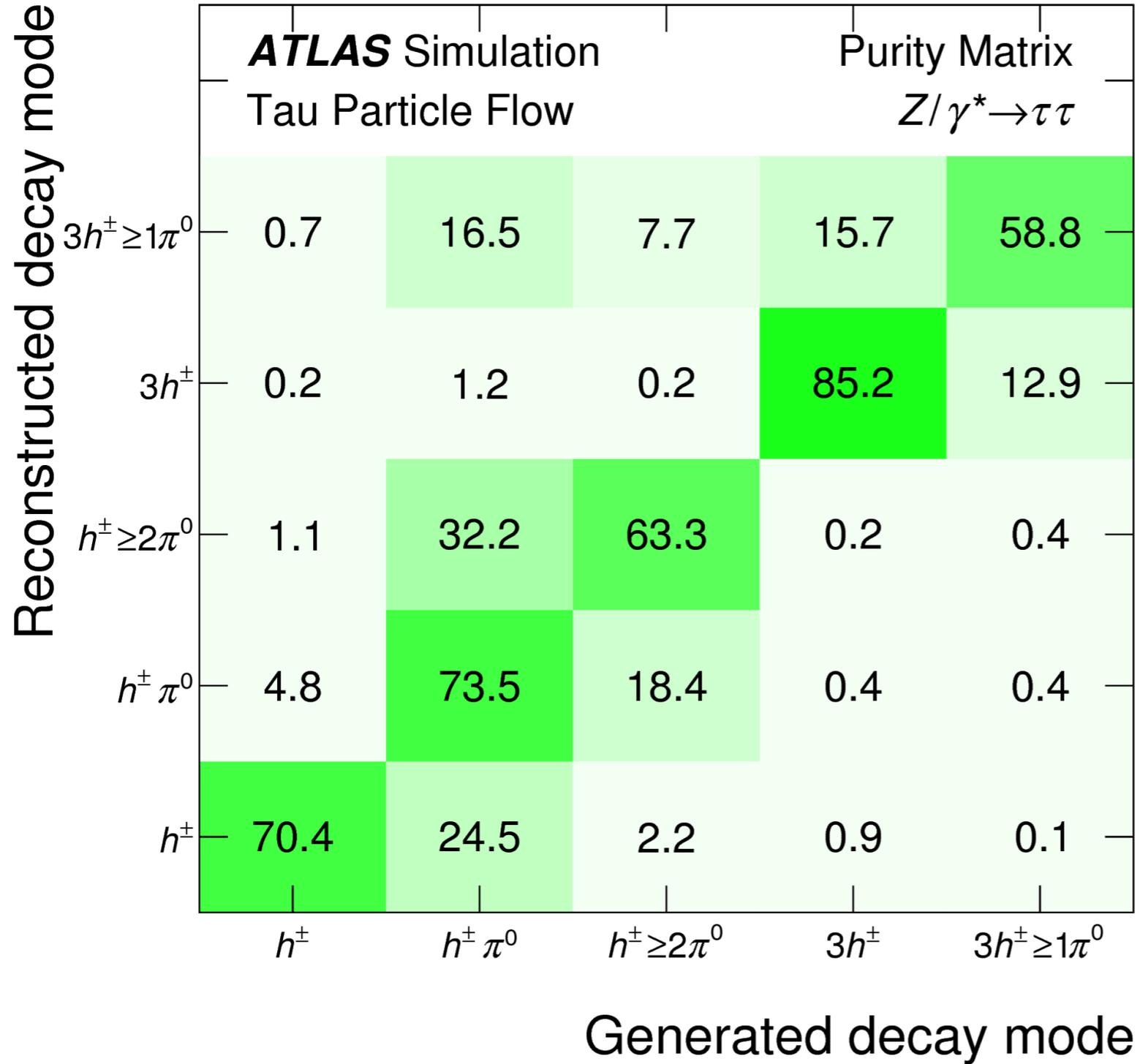
Number of π_{cand}^0 , N_{π^0}

Standard deviation of the h^\pm p_T , σ_{E_T, h^\pm}

Standard deviation, calculated from the p_T values of the h^\pm 's for $\tau_{\text{had-vis}}$ with three associated tracks

h^\pm mass, m_{h^\pm}

Invariant mass calculated from the sum of h^\pm four-vectors



Number of primary vertices, n_{PV}

Number of primary vertices in the event.

Average interactions per crossing, μ

Average number of interactions per bunch crossing.

Cluster shower depth, λ_{centre}

Distance of the cluster shower centre from the calorimeter front face measured along the shower axis.

Cluster second moment in λ , $\langle \lambda^2 \rangle$

Second moment of the distance of a cell, λ , from the shower centre along the shower axis.

Cluster first moment in energy density, $\langle \rho \rangle$

Cluster first moment in energy density $\rho = E/V$, where E and V represent the energy and volume of the cluster, respectively.

Cluster presampler fraction, $f_{\text{presampler}}$

Fraction of cluster energy deposited in the barrel and endcap presamplers.

Cluster EM-like probability, P_{EM}

Classification probability of the cluster to be EM-like, as described in Ref. [28].

Number of associated tracks, n_{track}

Number of tracks associated with the $\tau_{\text{had-vis}}$.

Number of reconstructed neutral pions, n_{π^0}

Number of reconstructed neutral pions associated with the $\tau_{\text{had-vis}}$.

Relative difference of pion energies, γ_{π}

Relative difference of the total charged pion energy, E_{charged} , and the total neutral pion energy, E_{neutral} : $\gamma_{\pi} = (E_{\text{charged}} - E_{\text{neutral}})/(E_{\text{charged}} + E_{\text{neutral}})$.

Calorimeter-based pseudorapidity, η_{calo}

Calorimeter-based (baseline) pseudorapidity.

Interpolated transverse momentum, $p_{\text{T}}^{\text{interp}}$

Transverse momentum interpolated from calorimetric corrections to energy measurement and TPF reconstruction.

Ratio of p_{T}^{LC} to $p_{\text{T}}^{\text{interp}}$, $p_{\text{T}}^{\text{LC}}/p_{\text{T}}^{\text{interp}}$

Ratio of the local hadron calibration transverse momentum to $p_{\text{T}}^{\text{interp}}$.

Ratio of $p_{\text{T}}^{\text{TPF}}$ to $p_{\text{T}}^{\text{interp}}$, $p_{\text{T}}^{\text{TPF}}/p_{\text{T}}^{\text{interp}}$

Ratio of the TPF reconstruction transverse momentum, $p_{\text{T}}^{\text{TPF}}$, to $p_{\text{T}}^{\text{interp}}$.
