

# Study of Diffractive Scattering in Proton-Proton Collisions at 13 TeV

with the ATLAS and ALFA Experiment

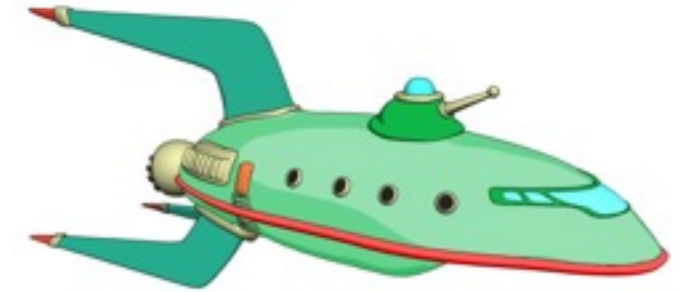
CDS: <https://cds.cern.ch/record/2275644>



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Presentation of Master's Research done at  
the Niels Bohr Institute in Copenhagen

NExT Physics Meeting  
Wednesday, 1 November, 2017



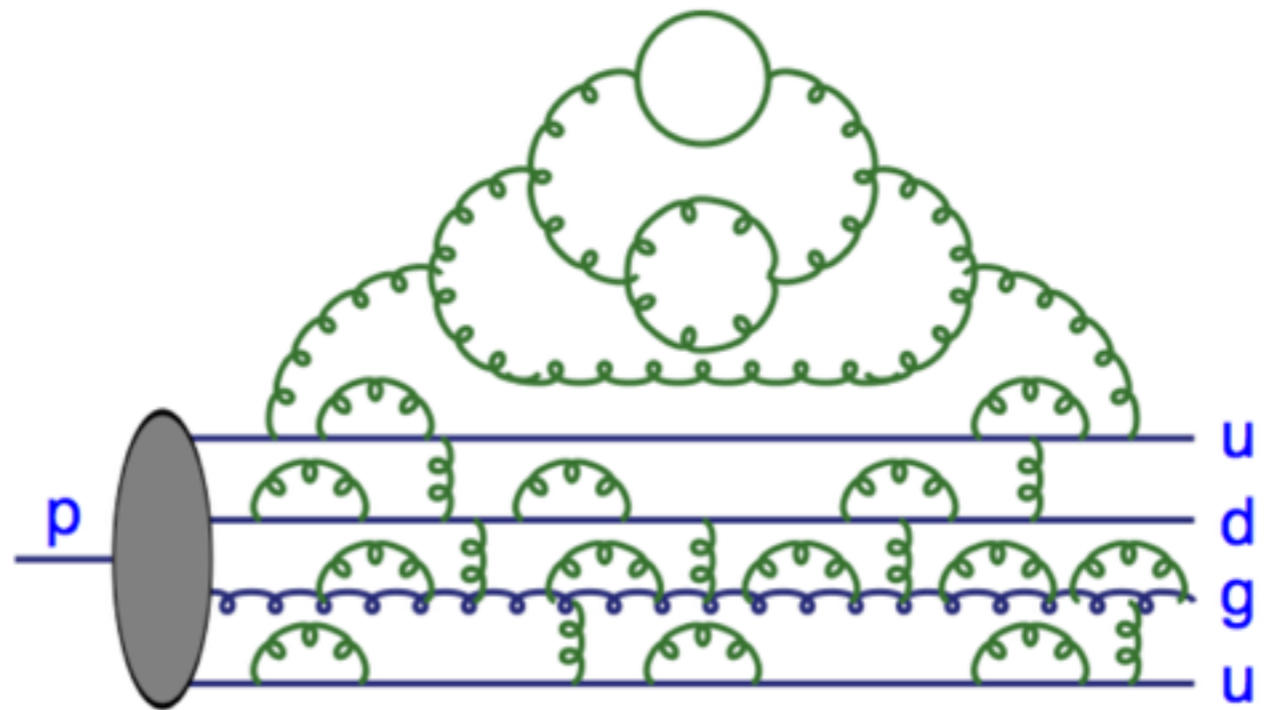
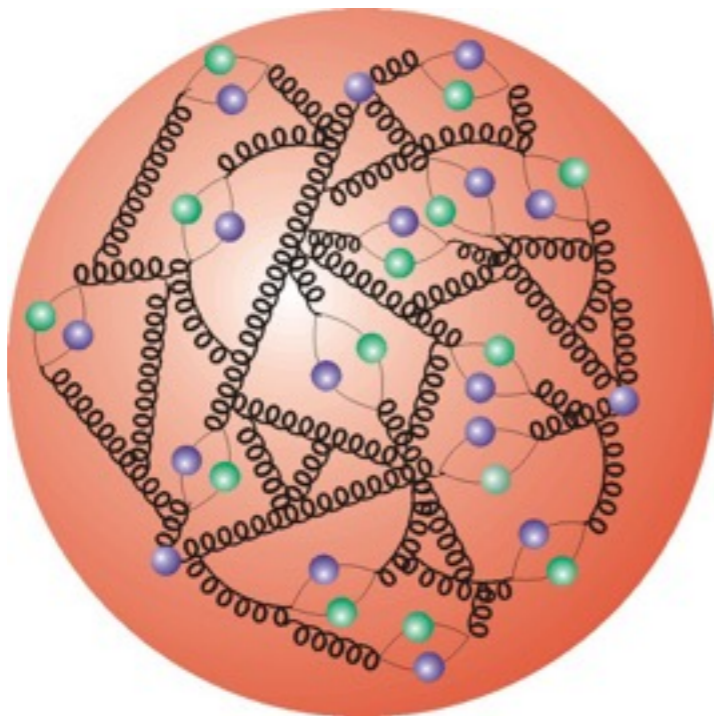
- **Theory:** What is Diffraction?
- **Experiment:** Detection of Diffractive Events
- **Simulation Framework**
- **Phenomenological Study**
- **Data Analysis** of new 13 TeV data from the LHC Run 2 period

## Theory

What is Diffractive Scattering of Protons?

# The Proton

Hadrons are composite objects  
(consists of partons, i.e. quarks and gluons)  
with a time-dependent structure



Parton distribution function (PDF):

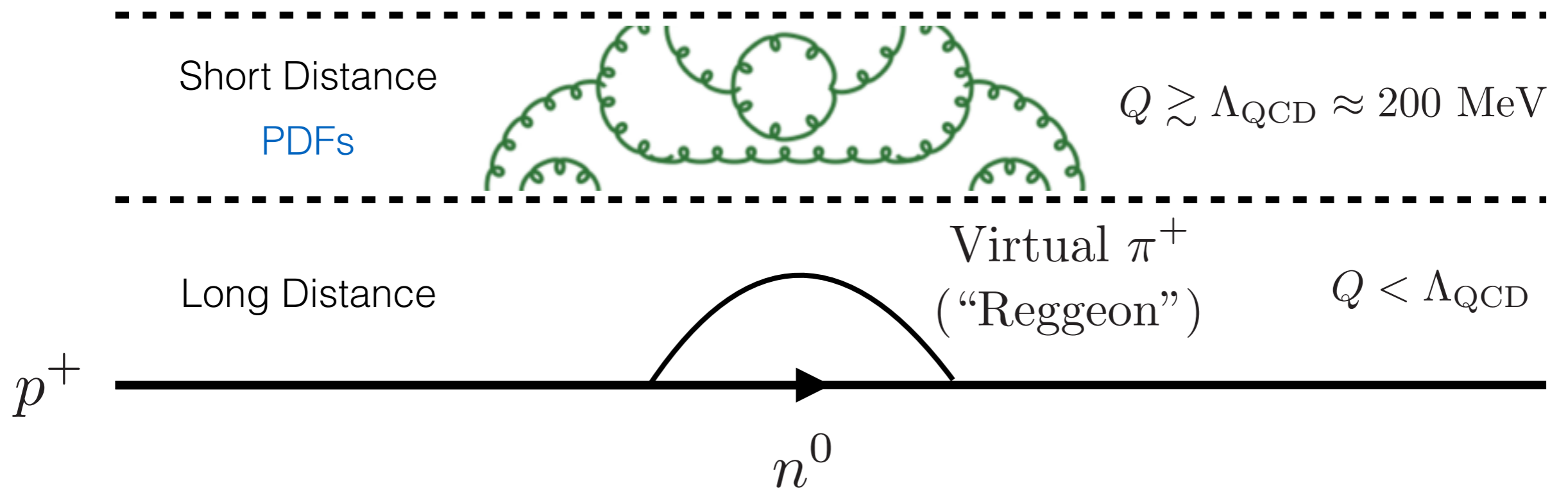
$f_i(x, Q^2)$  = number density of partons  $i$  at momentum fraction  $x$  and probing scale  $Q^2$

Structure function:  $F_2(x, Q^2) = \sum_i e_i^2 x f_i(x, Q^2)$

# Reggeons and Pomerons

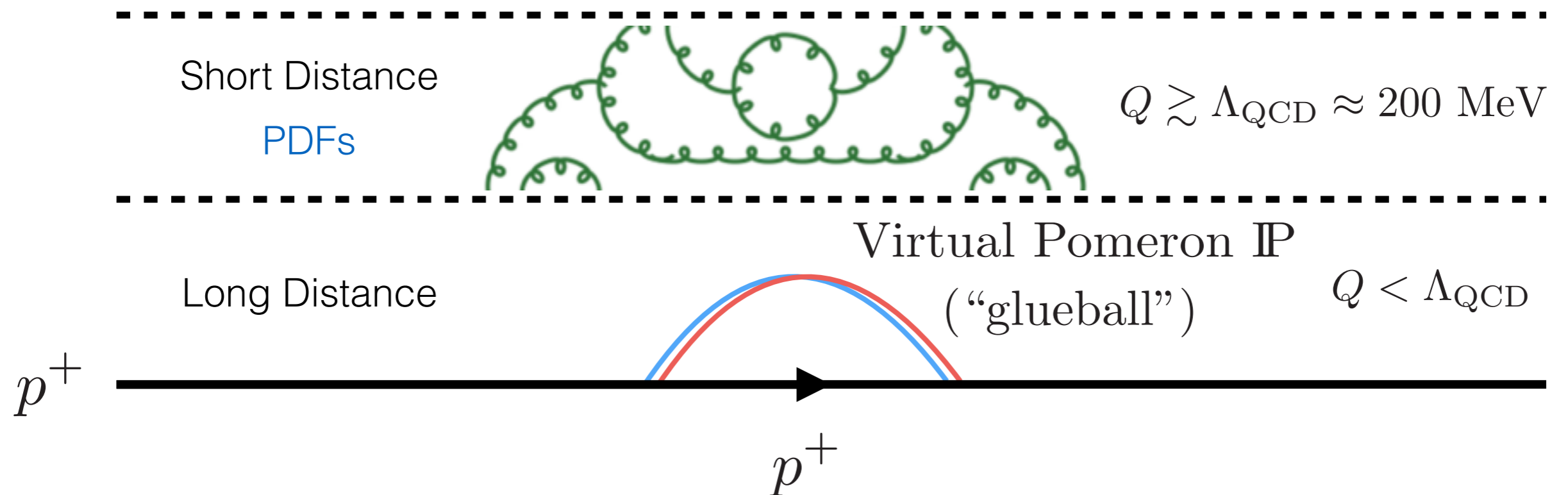
A proton minding its own business...

...can for a short (virtual) while  
emit a Reggeon...



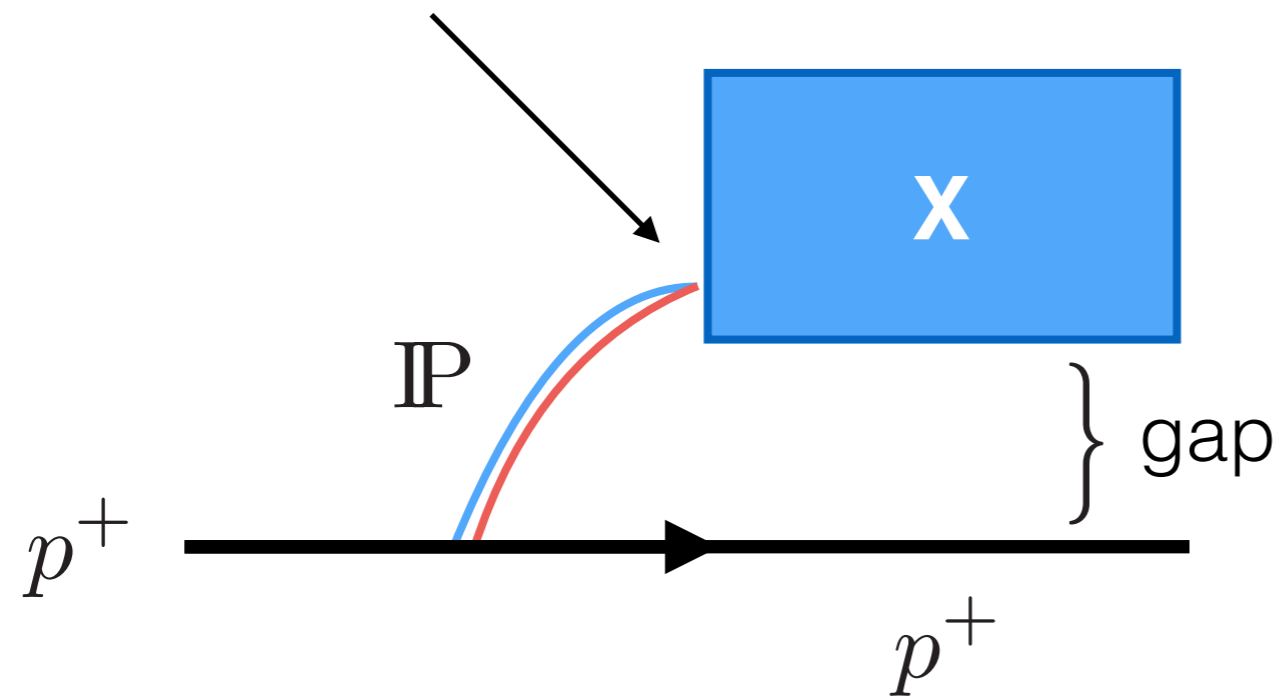
# Reggeons and Pomerons

...or emit a **Pomeron**,  
a hypothetical glue-ball state with  
the quantum numbers of the vacuum

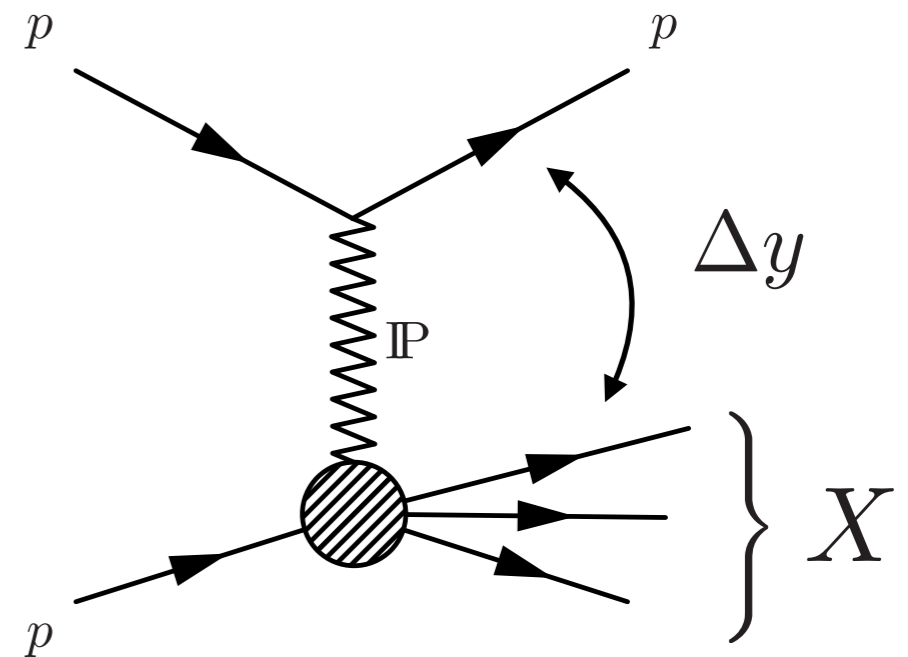


# Diffractive Events

Hard probe



Not physical to ask  
whether there was  
an (unmeasurable)  
Pomeron



Physical to ask  
if there was a large  
rapidity gap

Single Diffractive Cross-section using Factorization:

$$\frac{d\sigma_{SD}}{d\xi dt} = \underbrace{f_{\mathbb{P}/p}(\xi, t)}_{\text{Pomeron Flux Factor}} \sigma_{\mathbb{P}/p}$$

Pomeron Flux Factor

We don't know the exact Pomeron flux  
(can't calculate it from first principles)  
But we can phenomenologically model it



# Pomeron Flux Parameters

The Pomeron Flux depends on the Regge trajectory for the Pomeron

$$\alpha(t) = 1 + \varepsilon + \alpha' t$$

The Monte Carlo Event Generator **Pythia** allows us to simulate diffractive pp collisions



$\varepsilon$



$\alpha'$

# Goal / Purpose

- Study of Diffractive Scattering at the ALFA and ATLAS detectors
- Investigate the effect of the Pomeron Flux parameterization on observables
- Fit Pomeron Flux parameters to new 13 TeV data



Why bother?



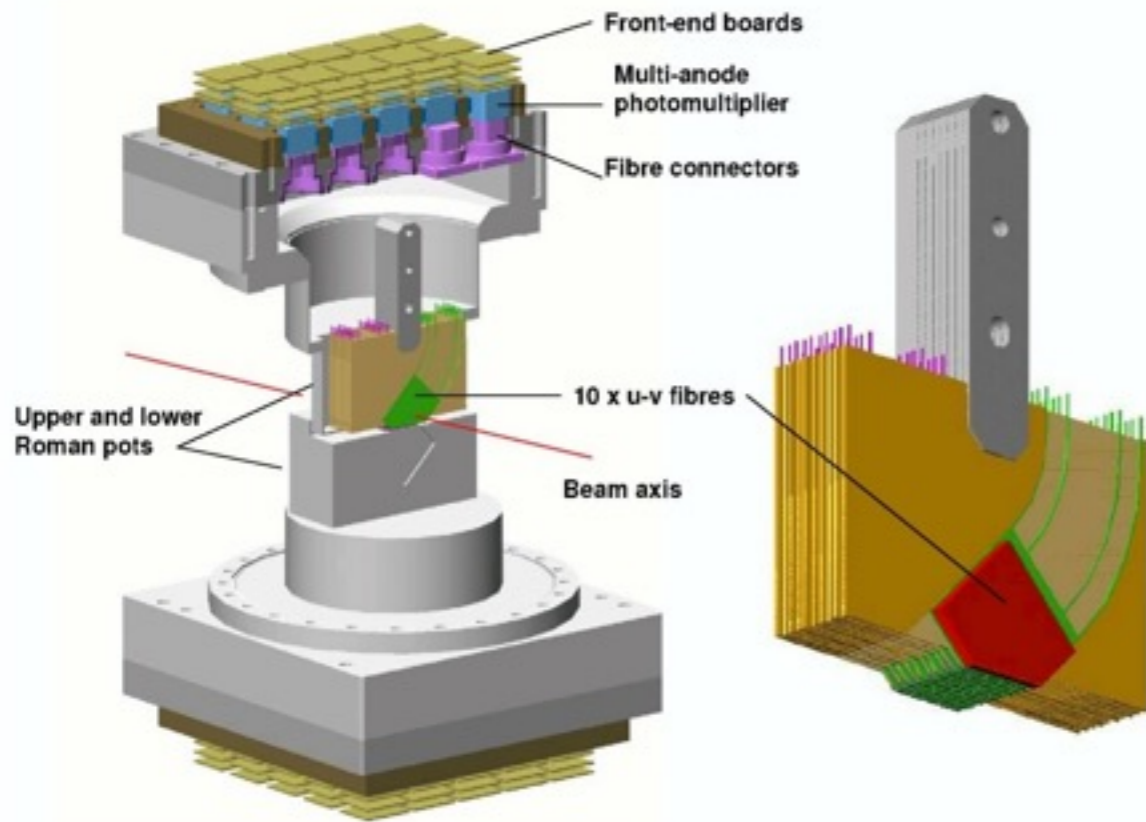
- Production of Minimum Bias Monte Carlo samples
- A better understanding of the Pomeron
- An understanding of Diffraction and the Pomeron may help in uniting QCD with Regge Theory

# Experiment

But how do we detect Diffractive Events?



# The ALFA Detector

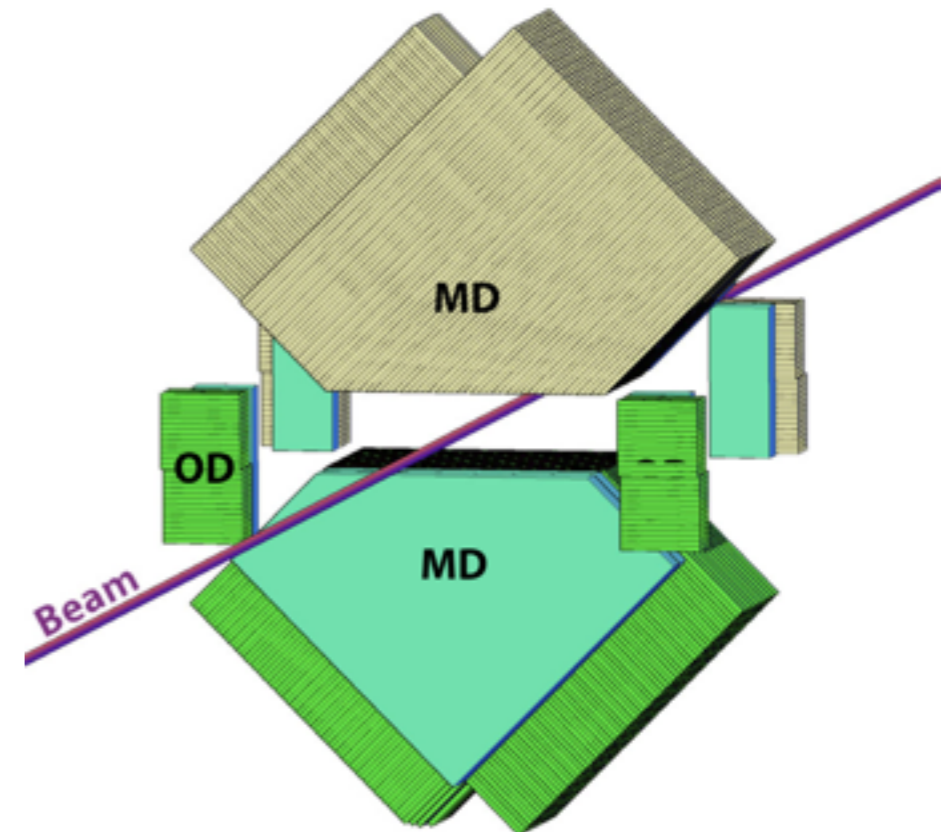
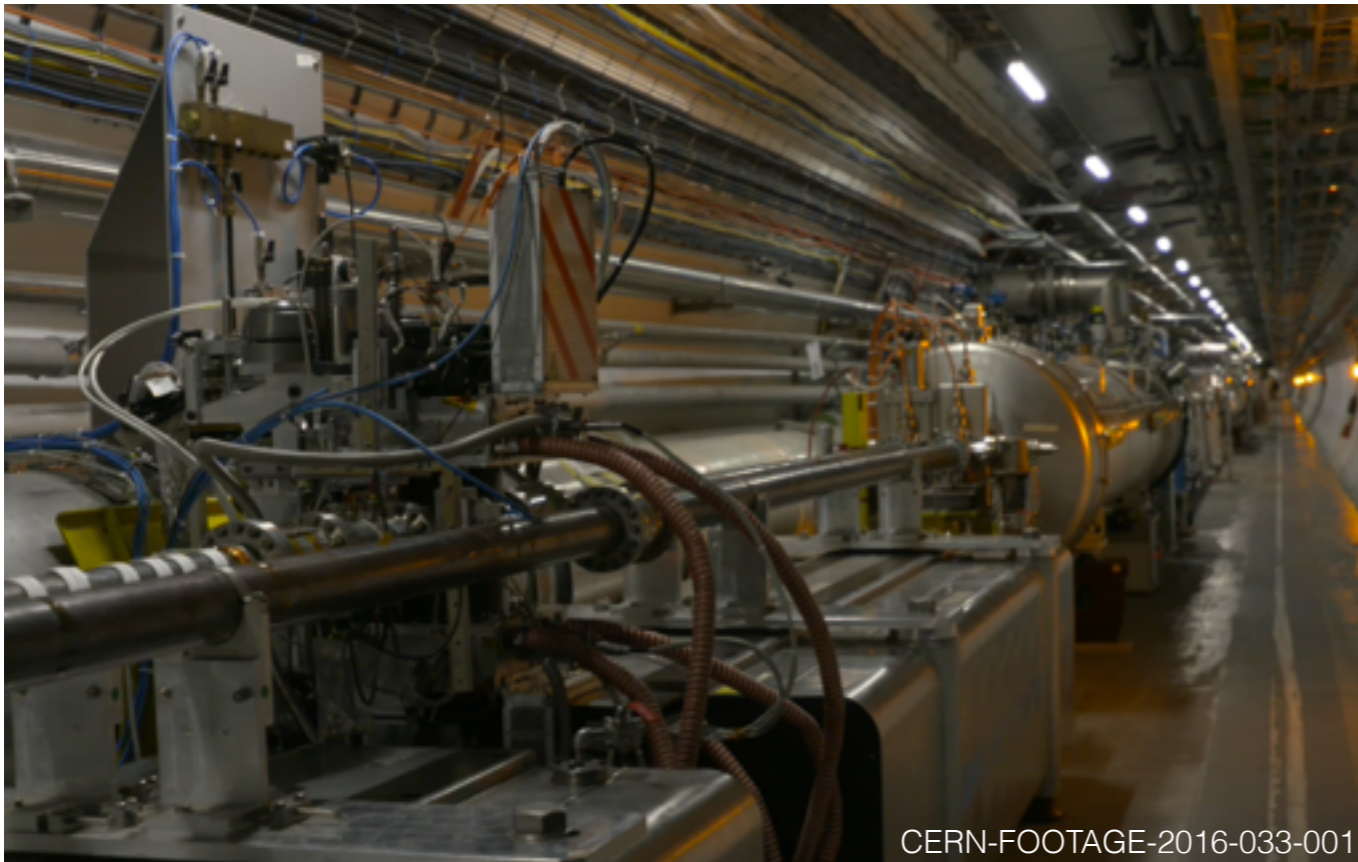
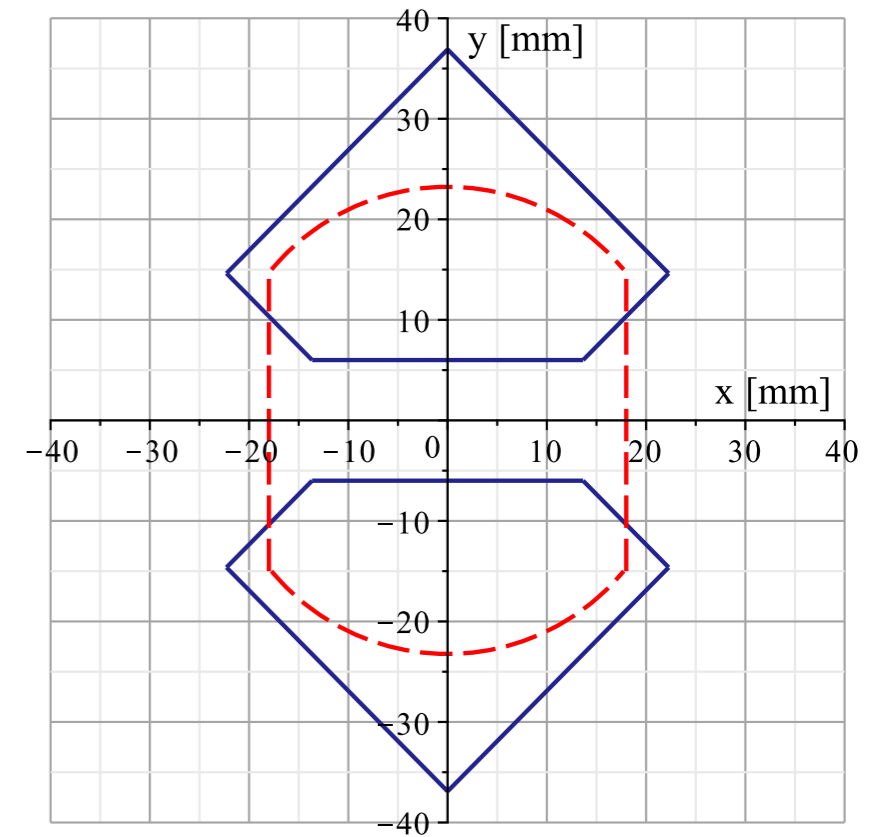


$$8.5 \lesssim |\eta| \lesssim 11.5$$

$$\xi < 0.2$$

for

$$\sqrt{s} = 13 \text{ TeV}$$



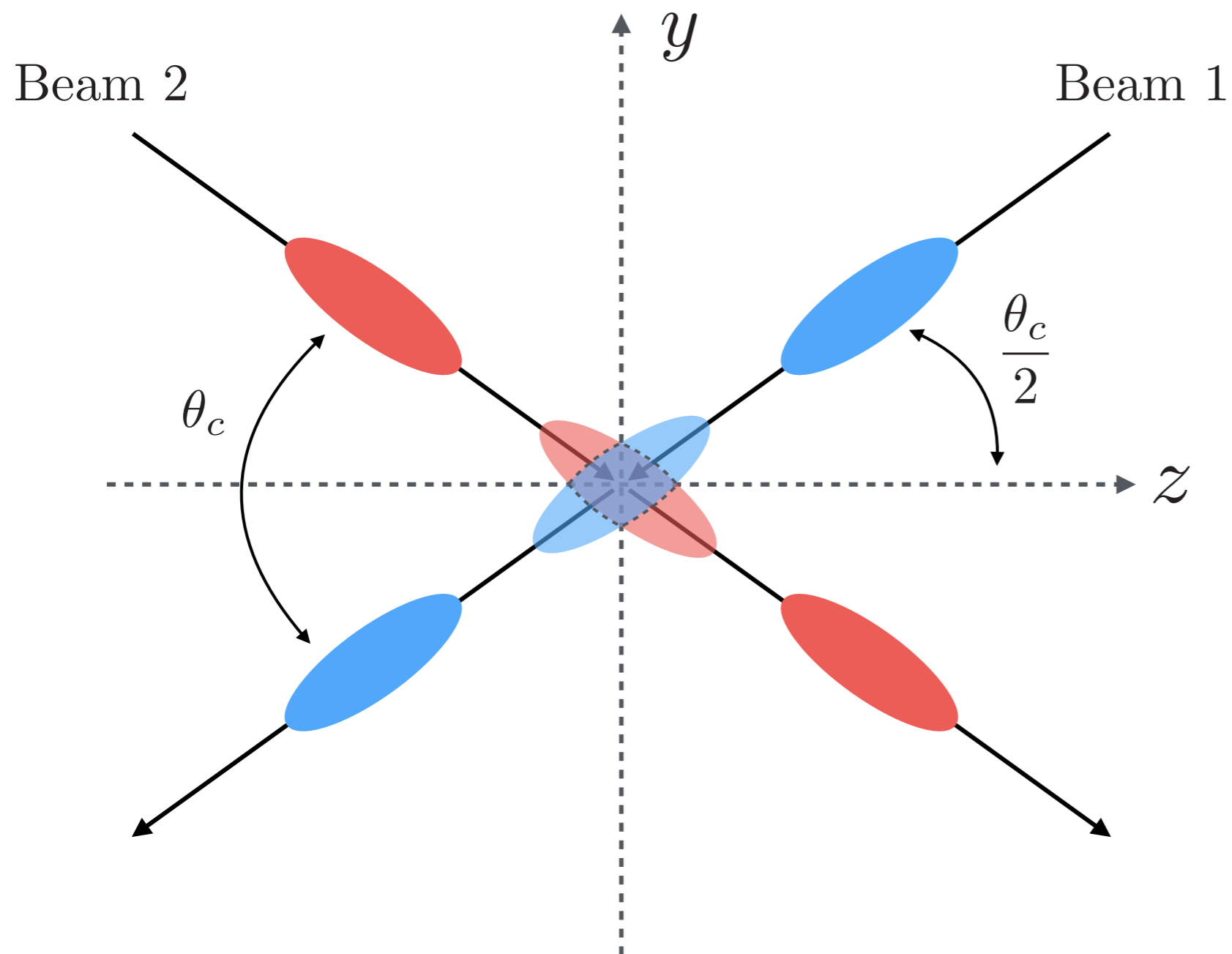
# Data

Energy:  $\sqrt{s} = 13 \text{ TeV}$

Crossing angle:  $\theta_C = 2 \times 50 \mu\text{rad}$

Optics:  $\beta^* = 90 \text{ m}$

Dates: 15 - 18 October, 2015



LHC Run 2 data

671 colliding  
bunches

## **Simulation Framework**

A fast simulation of the detector response was developed for the purposes of this thesis

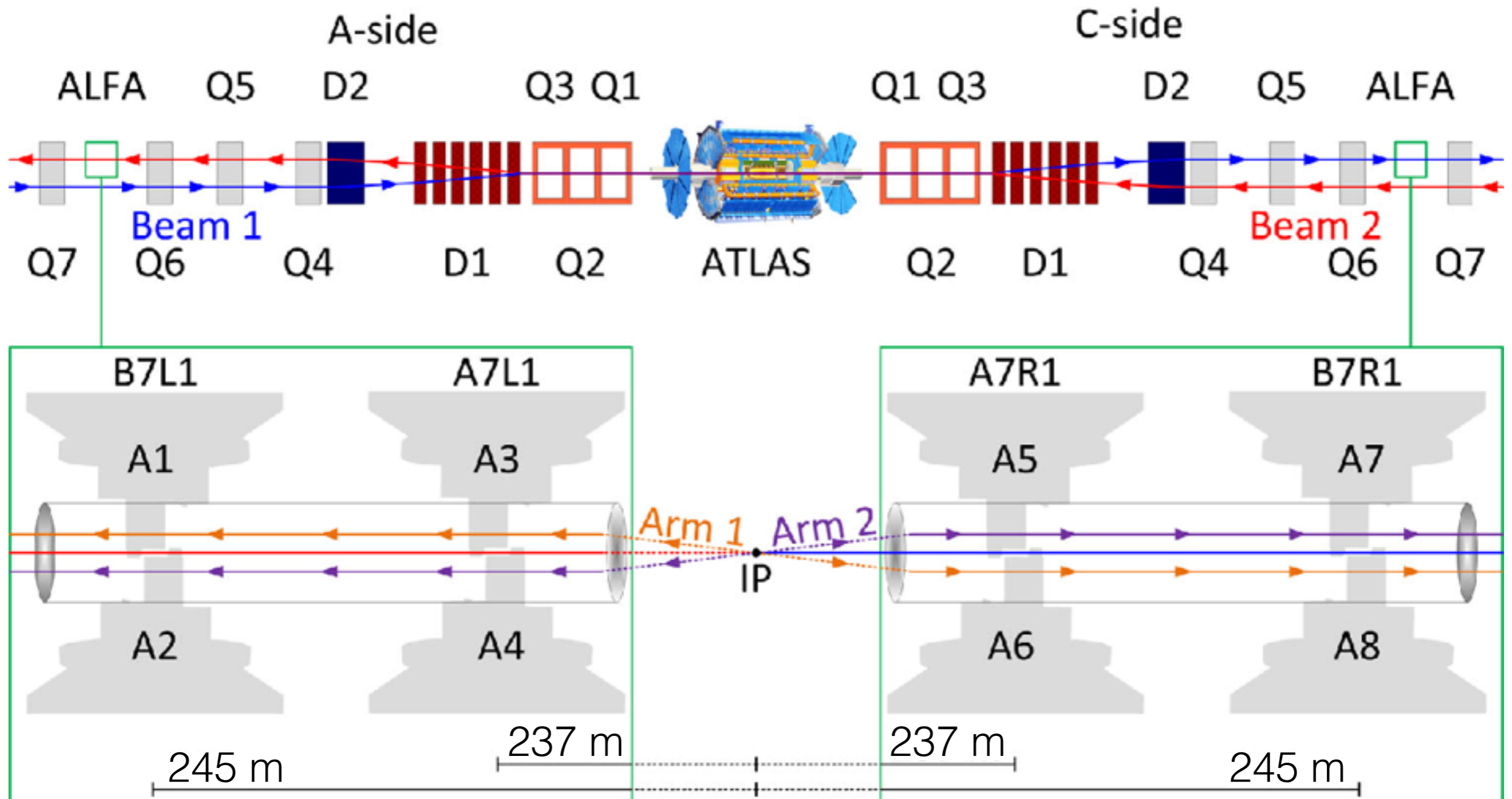


Pythia for Generation, Rivet for Analysis

- **Beam Transport:** Transport of Protons down the LHC beam pipe to ALFA
- **ALFA Acceptance and Smearing**
- **Reconstruction of Proton Kinematics**
- **ATLAS Simulation:** Inner Detector and MBTS

# Beam Transport

Magnetic lattice in the LHC beam pipe from ATLAS to ALFA will affect the Proton Trajectories



# Beam Transport

MAD-X can simulate and describe each element

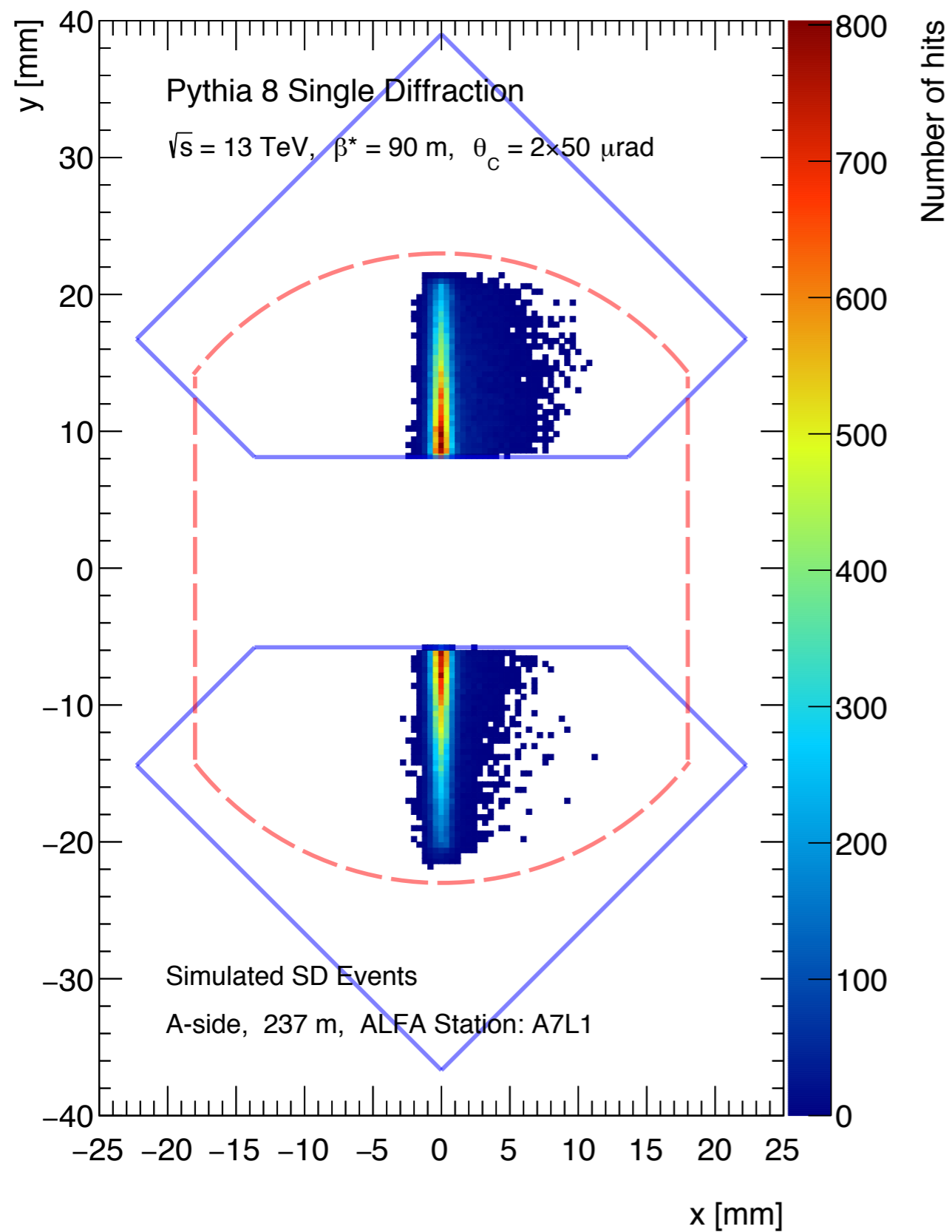
ForwardTransportFast can simulate the proton trajectory  
at any point down the beam pipe

Parameterization:  $u_{\text{RP}} \left( u_{\text{IP}}, p_{u,\text{IP}}, \frac{\Delta p^*}{p} \right)$

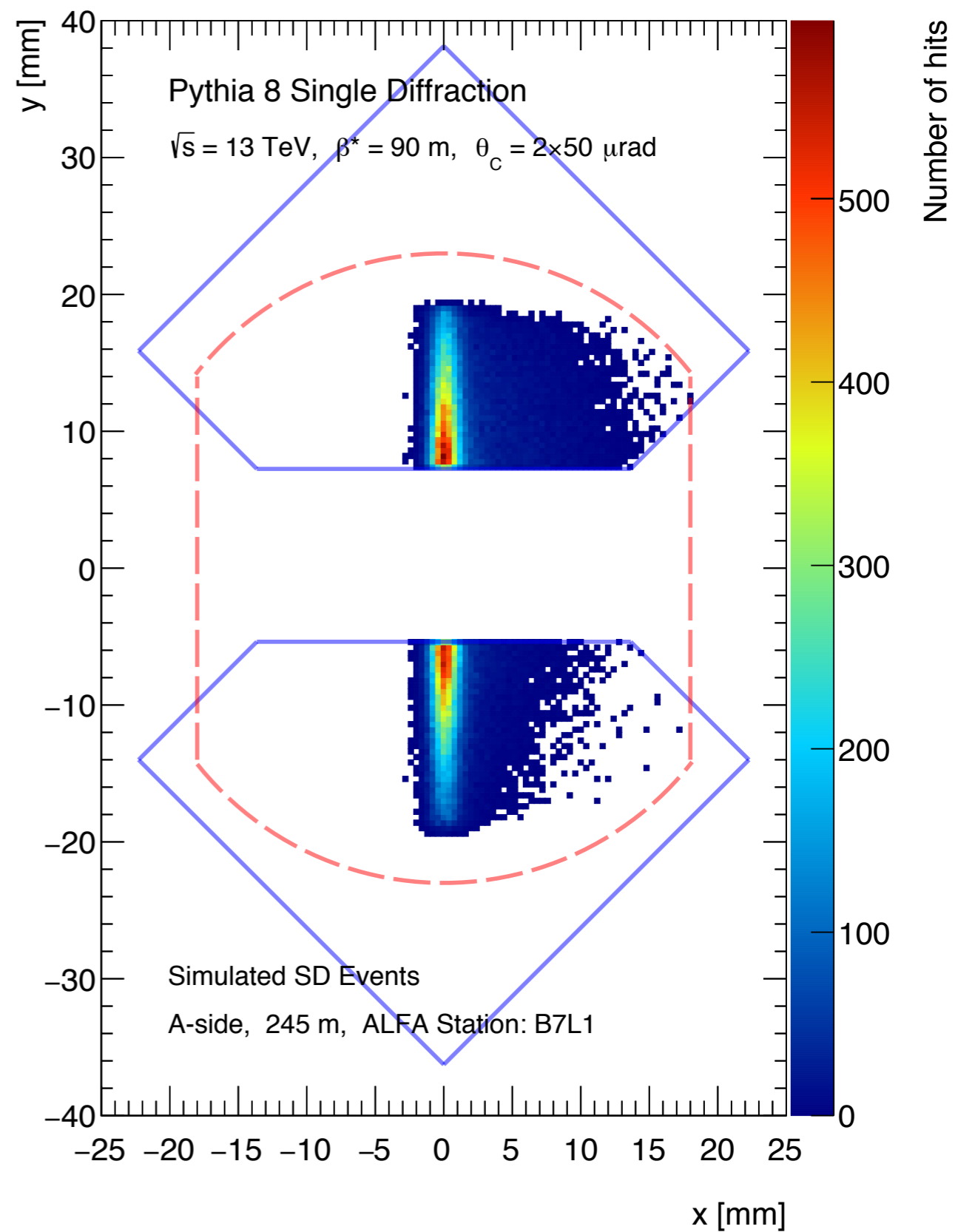
$$u = \{x, y\}$$

# ALFA Hitmaps and Smearing

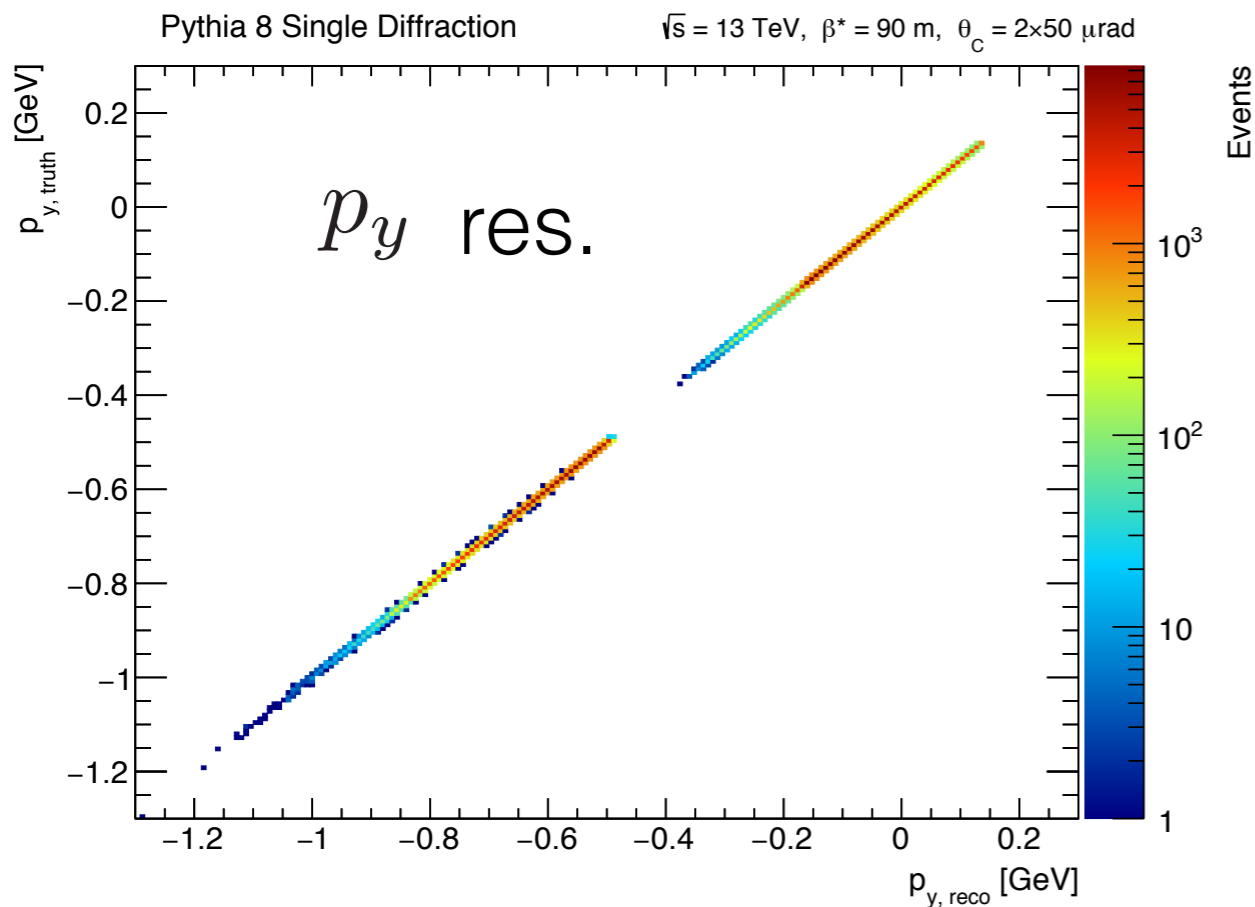
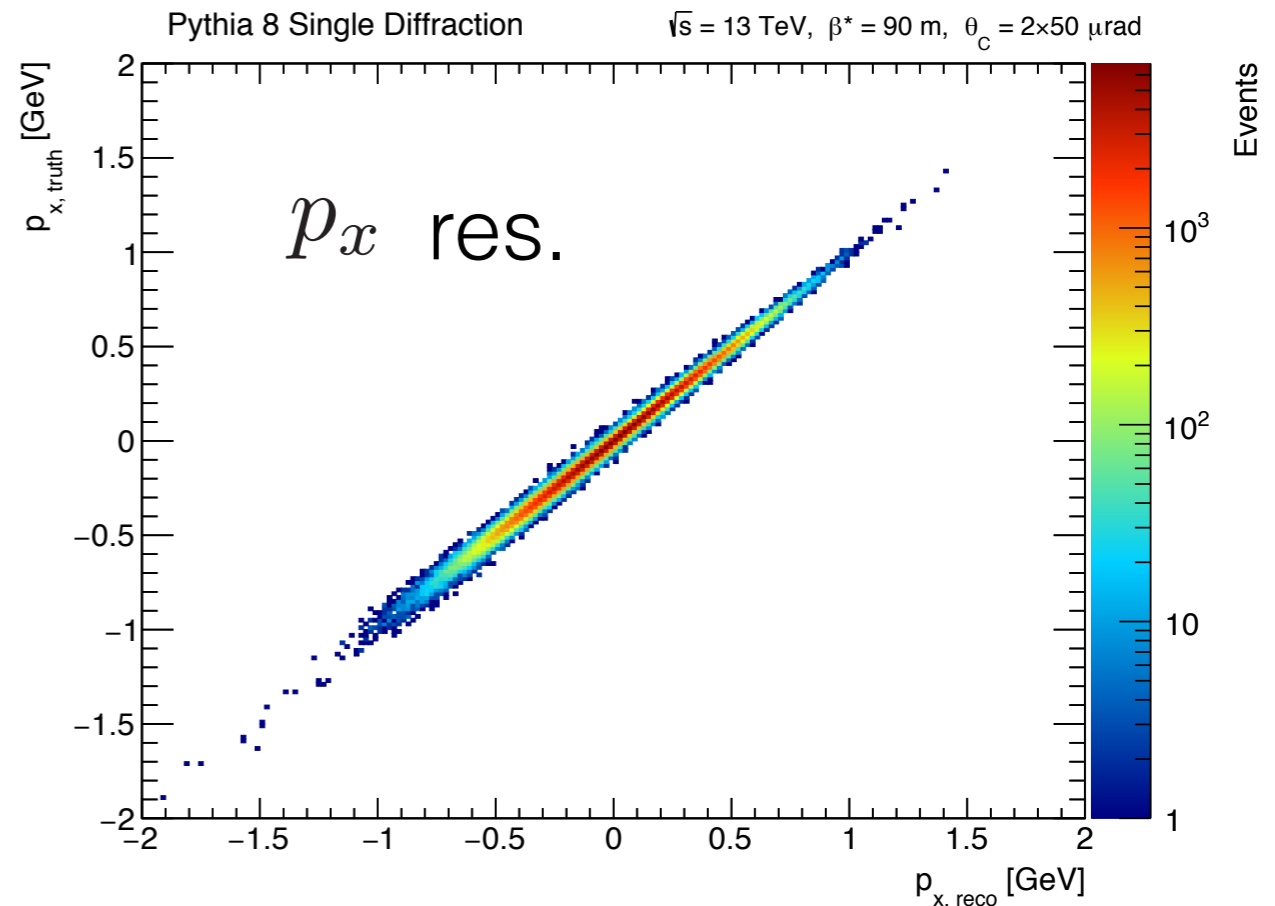
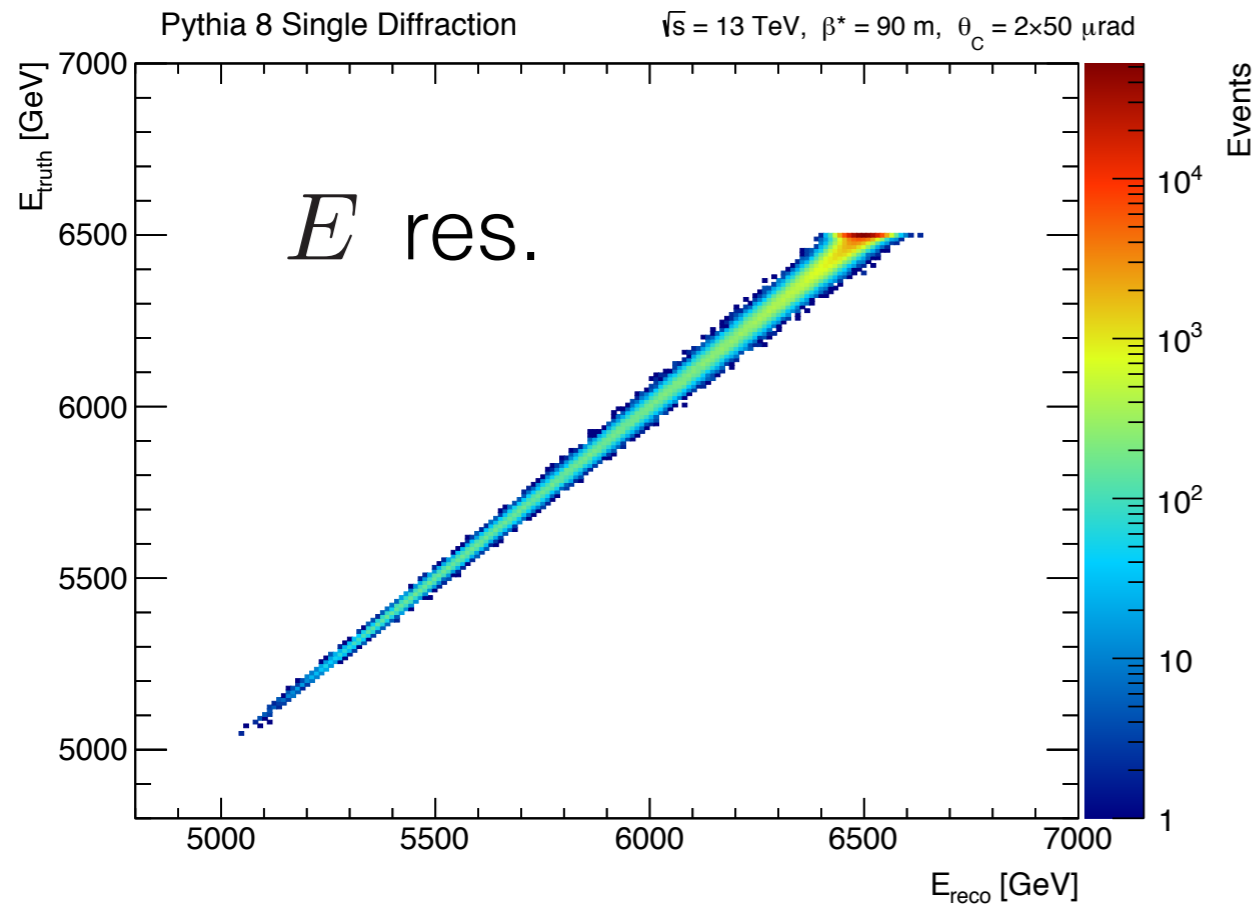
Inner:  $30\ \mu\text{m}$



Outer:  $40\ \mu\text{m}$



# Reconstruction of Proton Kinematics: Resolution



ALFAReco

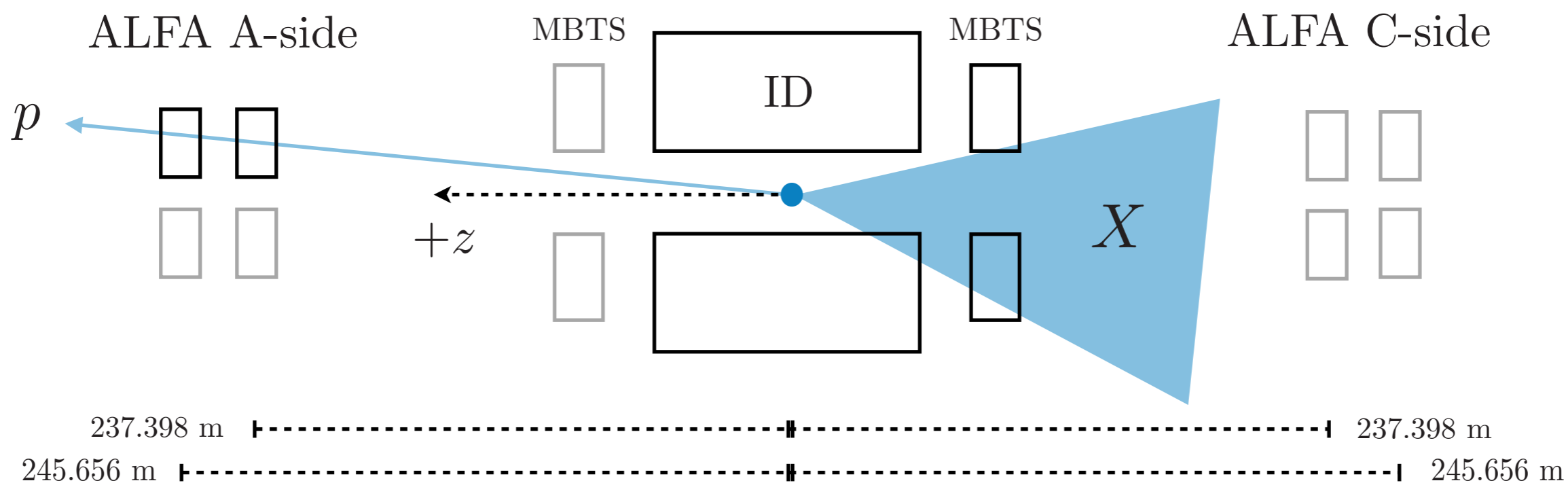
$$\rho_E = 0.99561$$

$$\rho_{p_x} = 0.99693$$

$$\rho_{p_y} = 0.99993$$

# Event Selection

- Exactly 1 hit in ALFA in one of the 4 arms  
The other arms are empty
- At least 2 tracks in ATLAS inner detector
- Exactly 1 reconstructed primary vertex
- Hit in MBTS on opposite side of the ALFA Hit



## Sensitivity to Model Parameters ( $\varepsilon, \alpha'$ )

# Sensitivity to Model Parameters

What happens when we vary the model parameters?

Sensitivity to the model parameters come in two ways:

- Accepted Event Count  
(Total Cross-section)
- Shape of the Distributions  
(Differential Cross-section)



# Sensitivity to Model Parameters

We have generated 9 samples  
with 1 million events each

And with permutations of the parameters values:

$$\varepsilon = \{0.02, 0.085, 0.15\}$$

$$\alpha' = \{0.1, 0.25, 0.4\} \text{ GeV}^{-2}$$

# Sensitivity to Model Parameters

## Accepted Event Count (Total Cross-section)

	$\varepsilon = 0.02$	$\varepsilon = 0.085$	$\varepsilon = 0.15$
$\alpha' = 0.1 \text{ GeV}^{-2}$	$(19.44 \pm 0.04)\%$	$(10.11 \pm 0.03)\%$	$(4.08 \pm 0.02)\%$
$\alpha' = 0.25 \text{ GeV}^{-2}$	$(21.33 \pm 0.05)\%$	$(11.28 \pm 0.03)\%$	$(4.63 \pm 0.02)\%$
$\alpha' = 0.4 \text{ GeV}^{-2}$	$(21.58 \pm 0.05)\%$	$(11.62 \pm 0.03)\%$	$(4.64 \pm 0.02)\%$

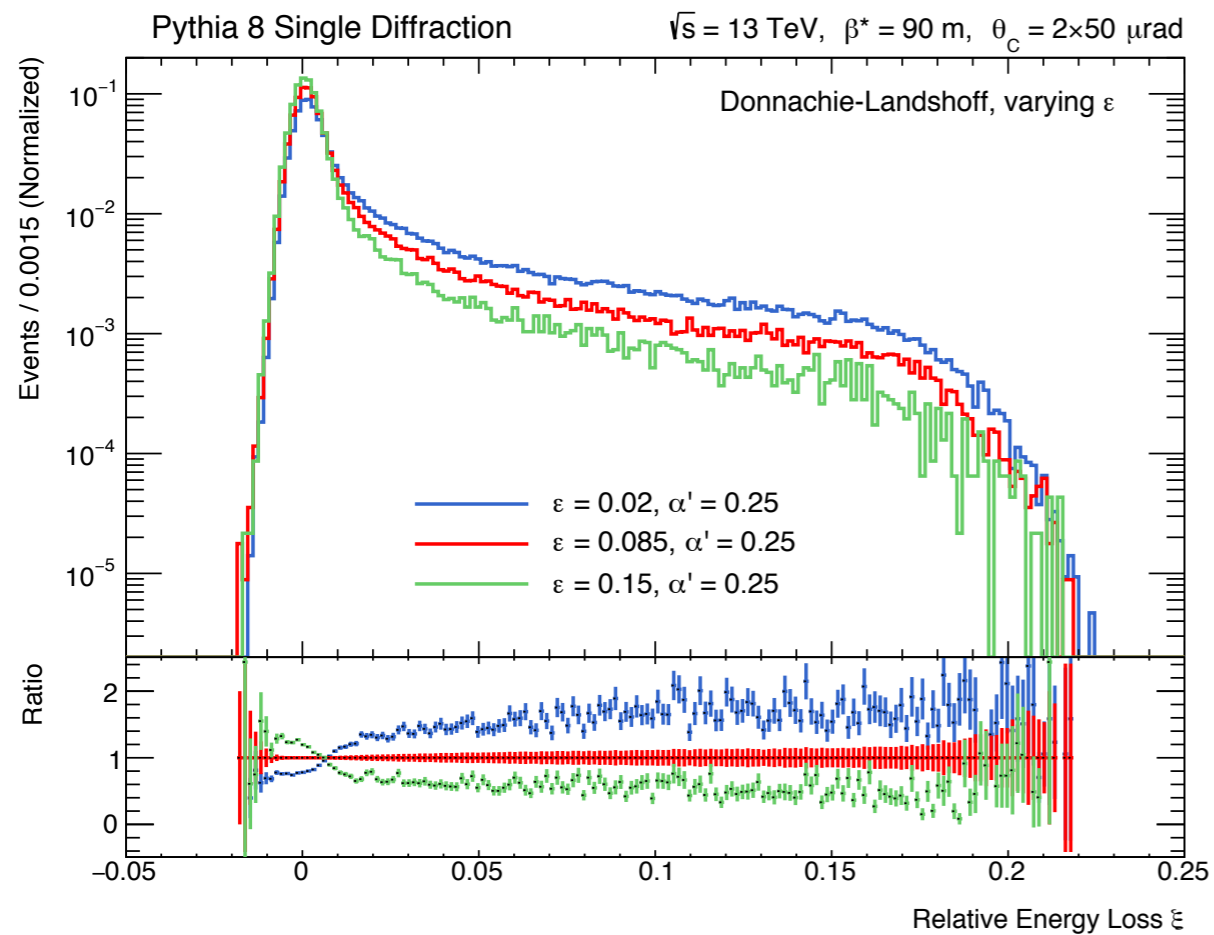
Increasing  $\varepsilon \Rightarrow$  Lower accepted event count

Increasing  $\alpha' \Rightarrow$  Larger accepted event count

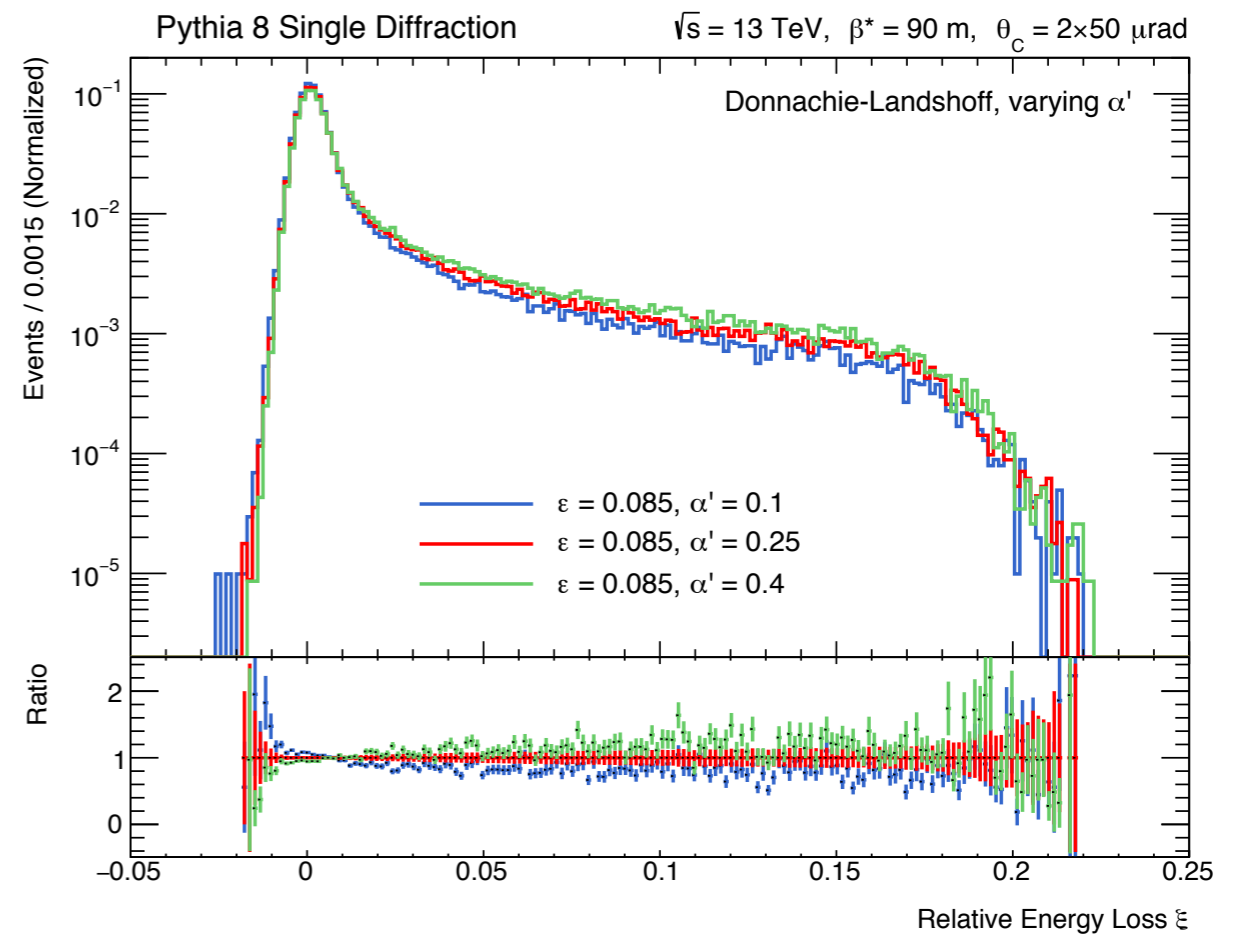
# Sensitivity to Model Parameters

## Relative Energy Loss $\xi$

Varying  $\varepsilon$



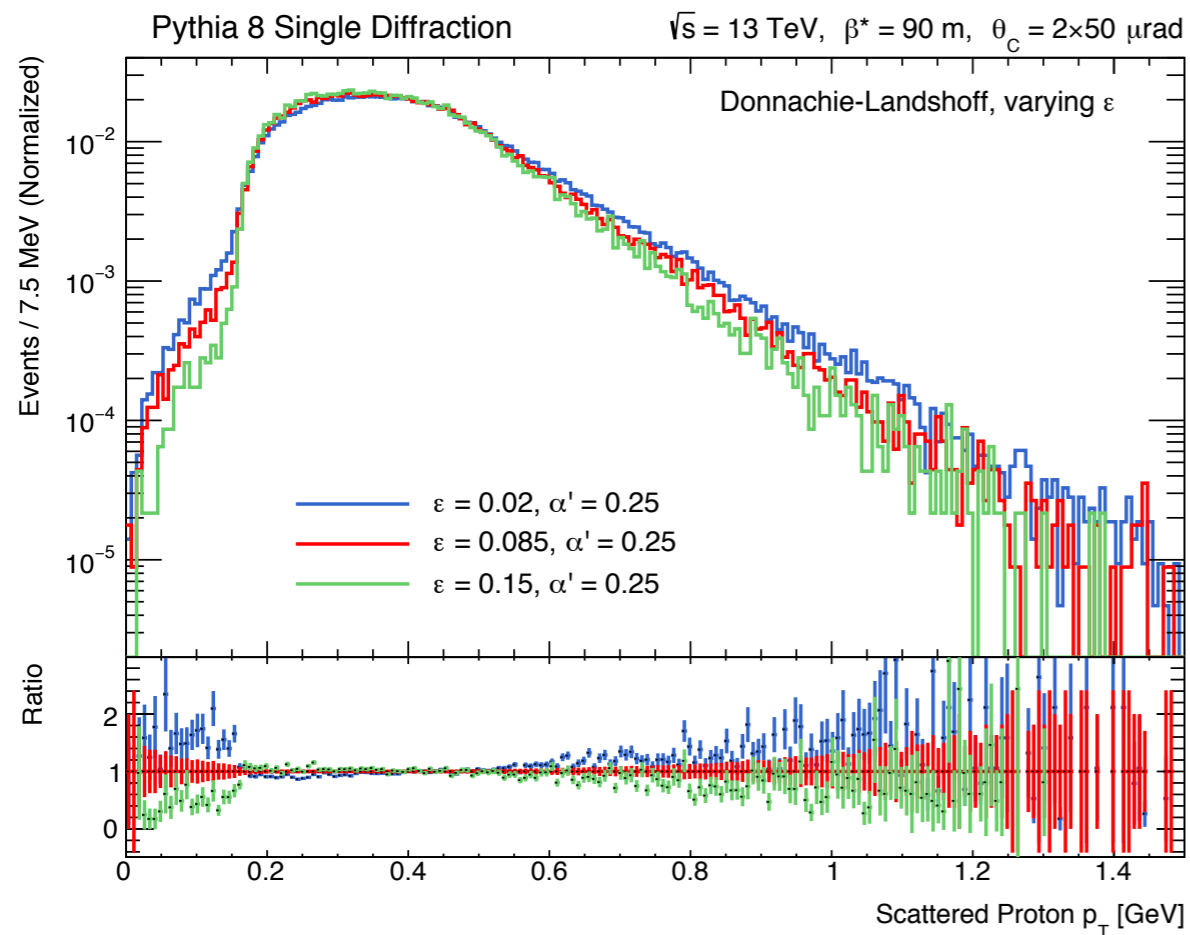
Varying  $\alpha'$



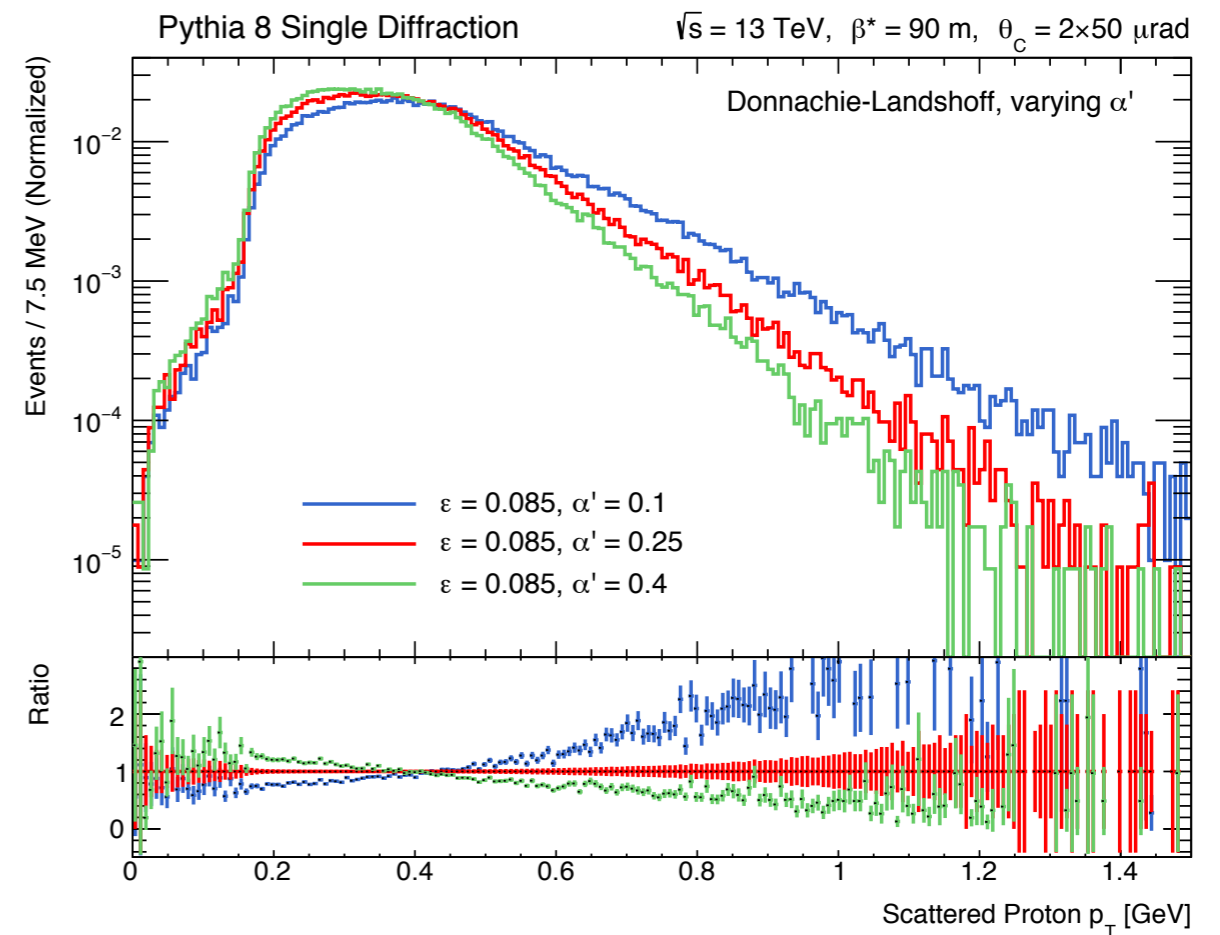
# Sensitivity to Model Parameters

## Transverse Momentum $p_T$

Varying  $\varepsilon$



Varying  $\alpha'$



## **Fit Procedure**

to determine the model parameters

# Fit Procedure

## Goal:

Develop a fit procedure to determine model parameters

$\varepsilon$  and  $\alpha'$

We want to minimize:

$$\chi^2(\varepsilon, \alpha') = \sum_i^n \frac{(O_i - E_i(\varepsilon, \alpha'))^2}{\sigma_{O_i}^2 + \sigma_{E_i}^2}$$

Observation:  $O_i$

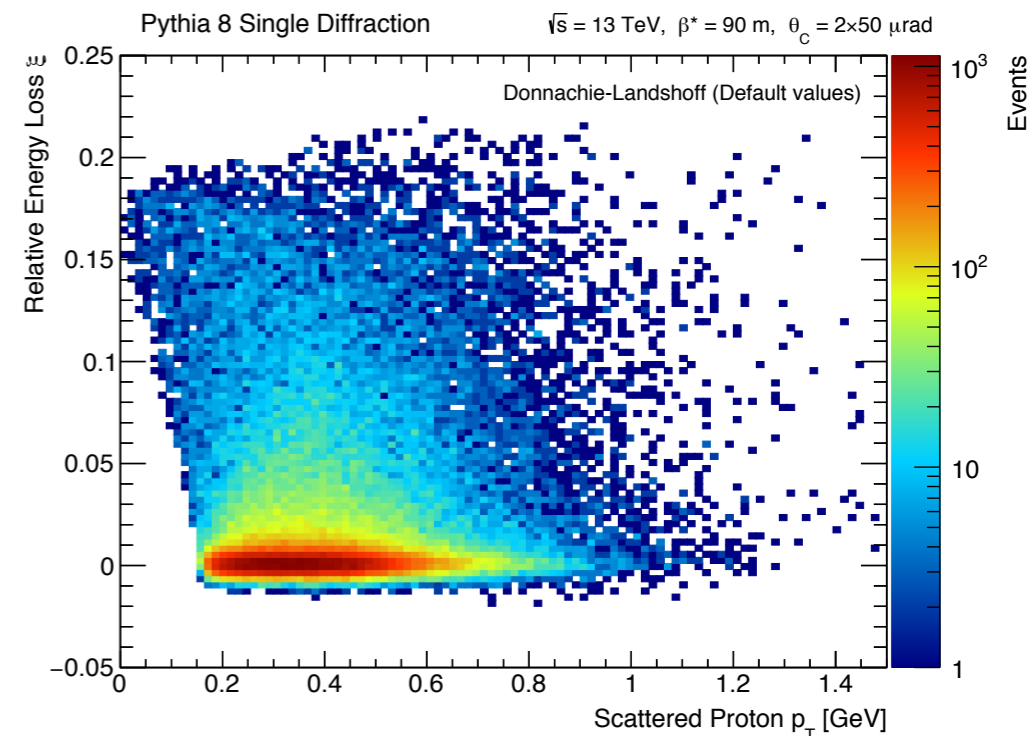
Expectation Value:  $E_i(\varepsilon, \alpha')$

# Fit Procedure

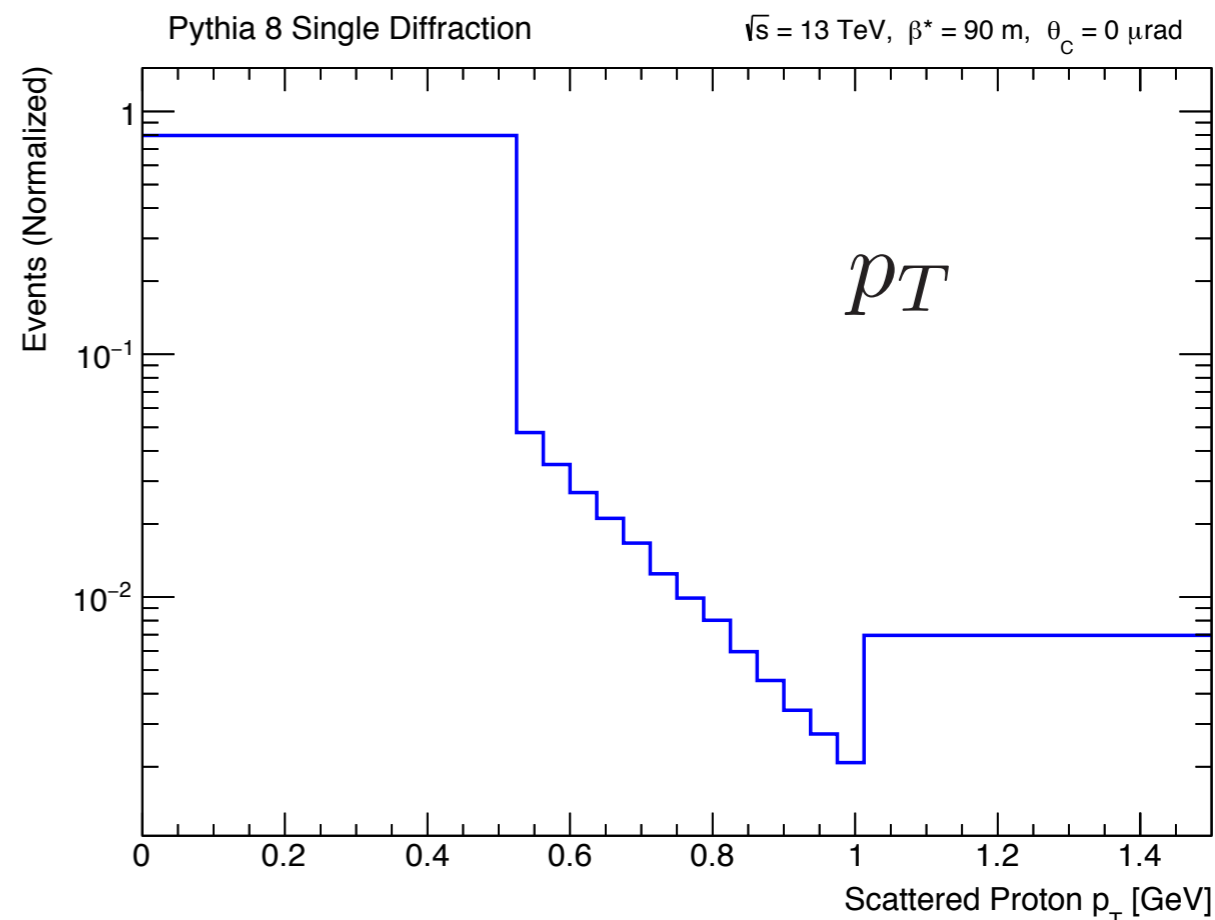
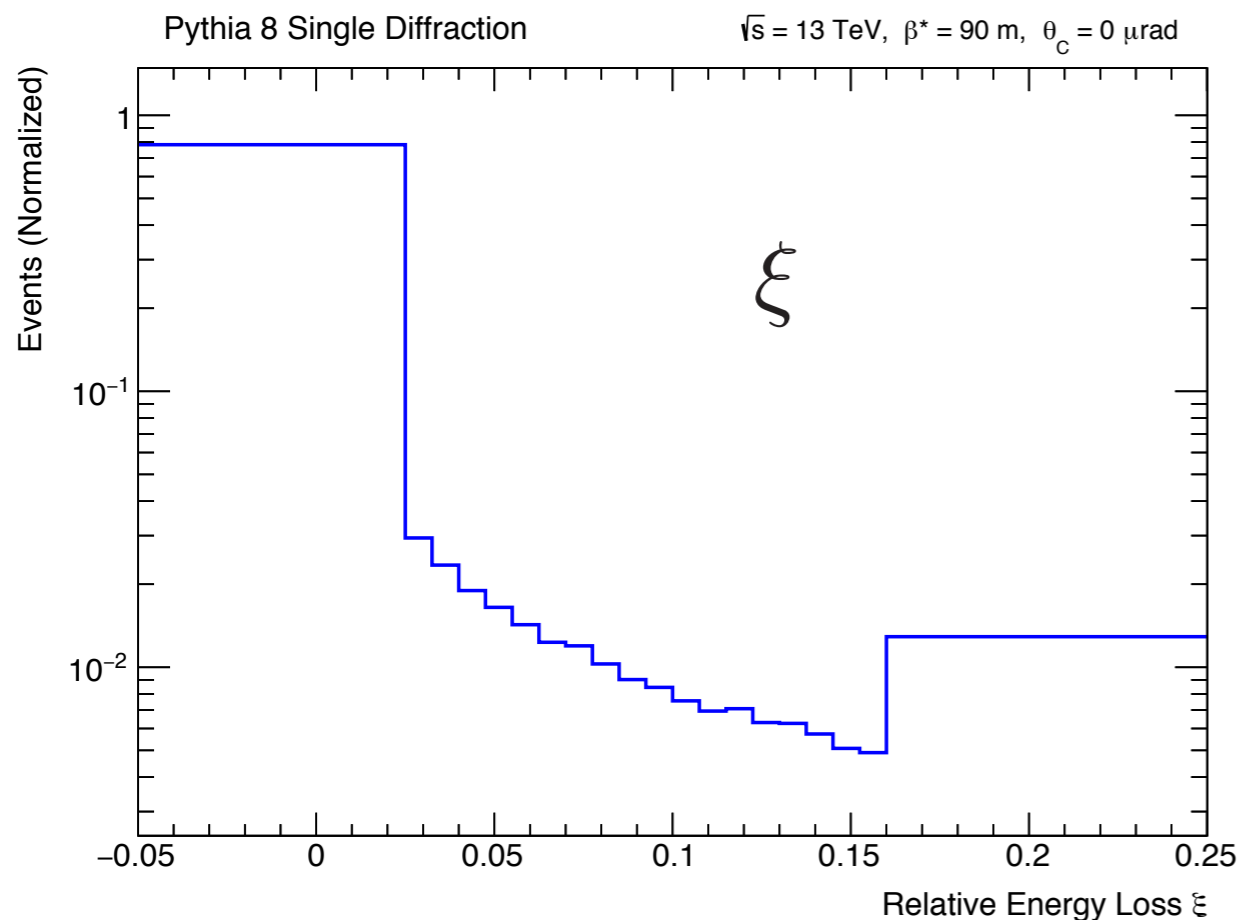
We consider:  $\xi$  and  $p_T$

$$\rho_{\xi,t} = (12.8 \pm 0.2) \%$$

$$\rho_{\xi,p_T} = (-2.0 \pm 0.2) \%$$



## Non-equidistant Binning:



# Fit Procedure - Expectation Values

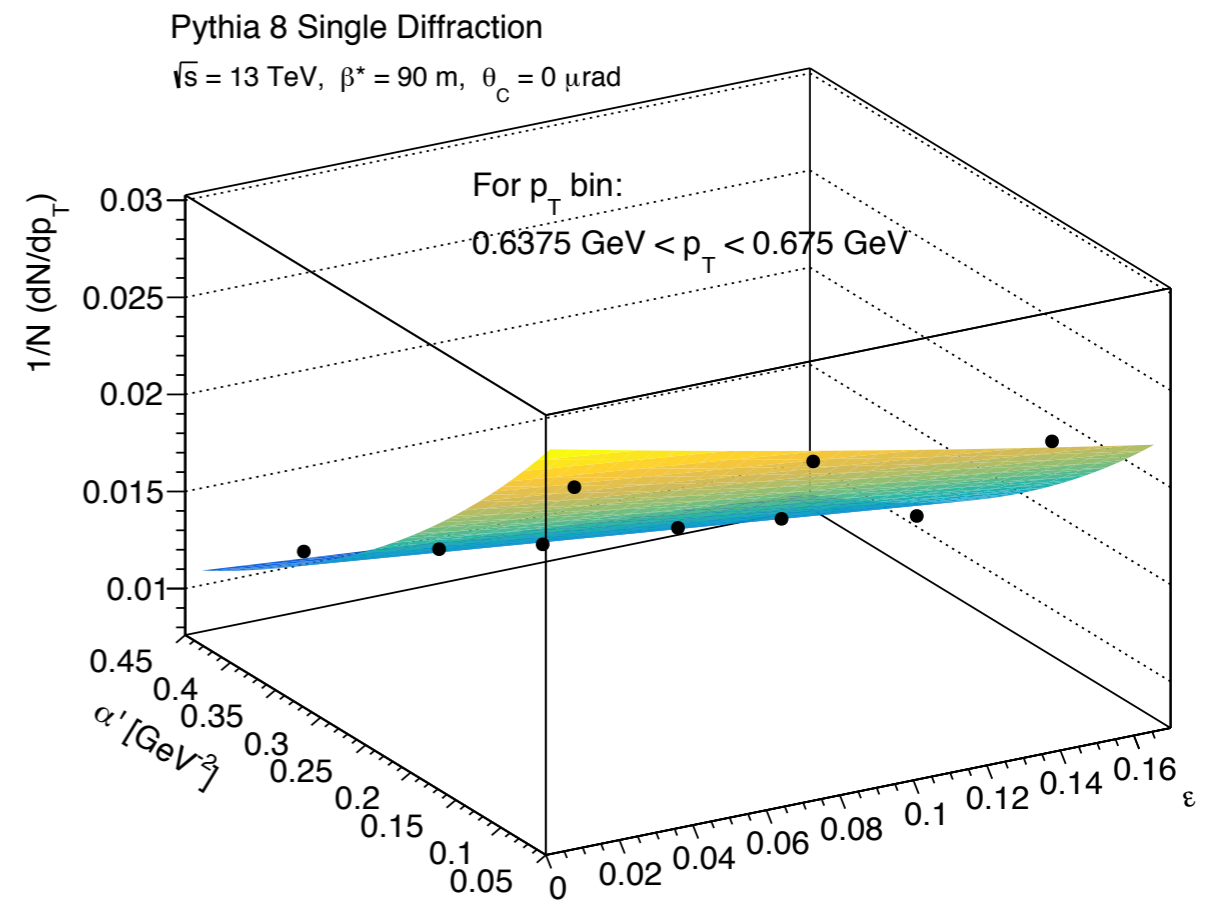
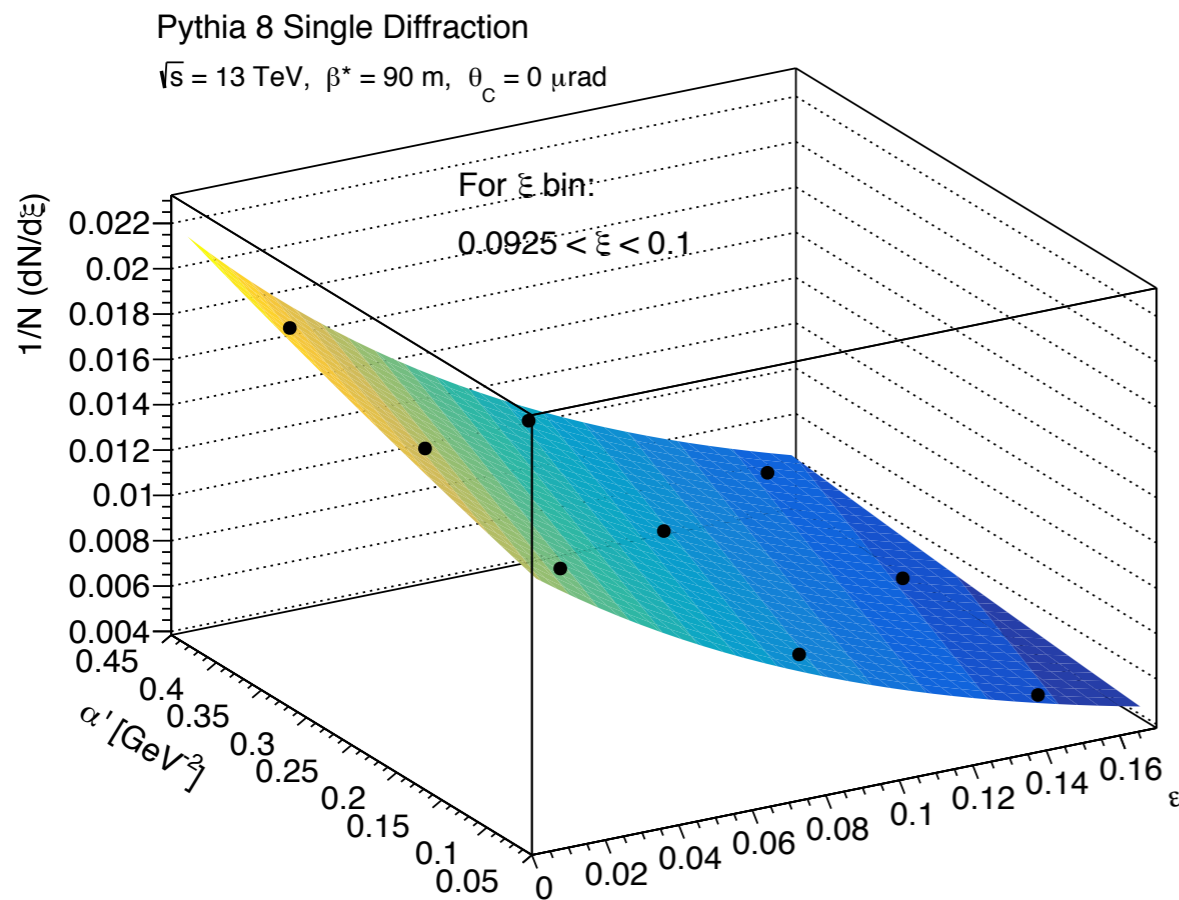
## Expectation Values:

Extrapolation between our 9 samples:

$$f_{\mathbb{P}/p}(\xi, t) \sim \xi^{1-2\alpha(t)}$$



$$E_i(\varepsilon, \alpha') = a^{b\varepsilon + c\alpha' + d}$$

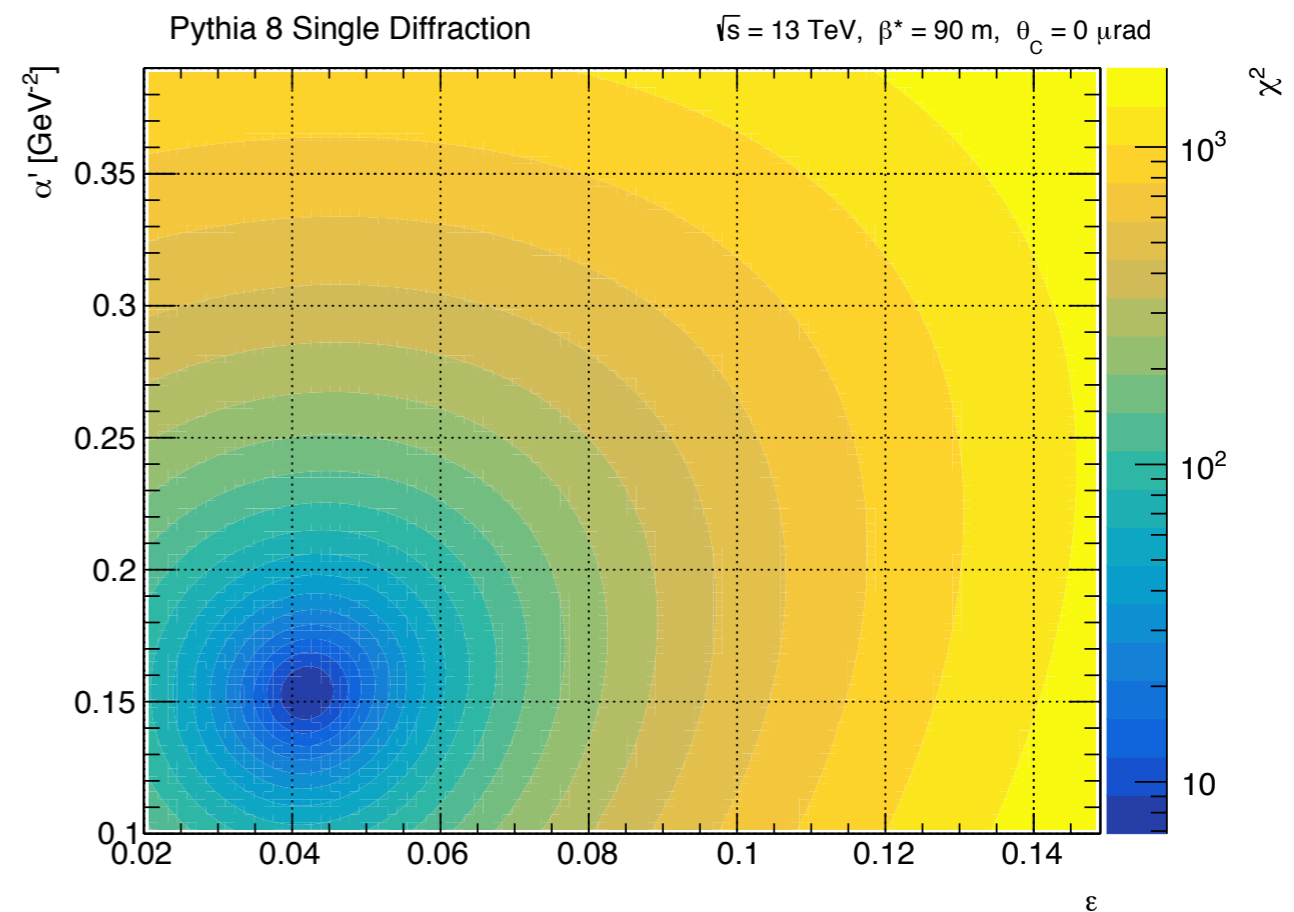
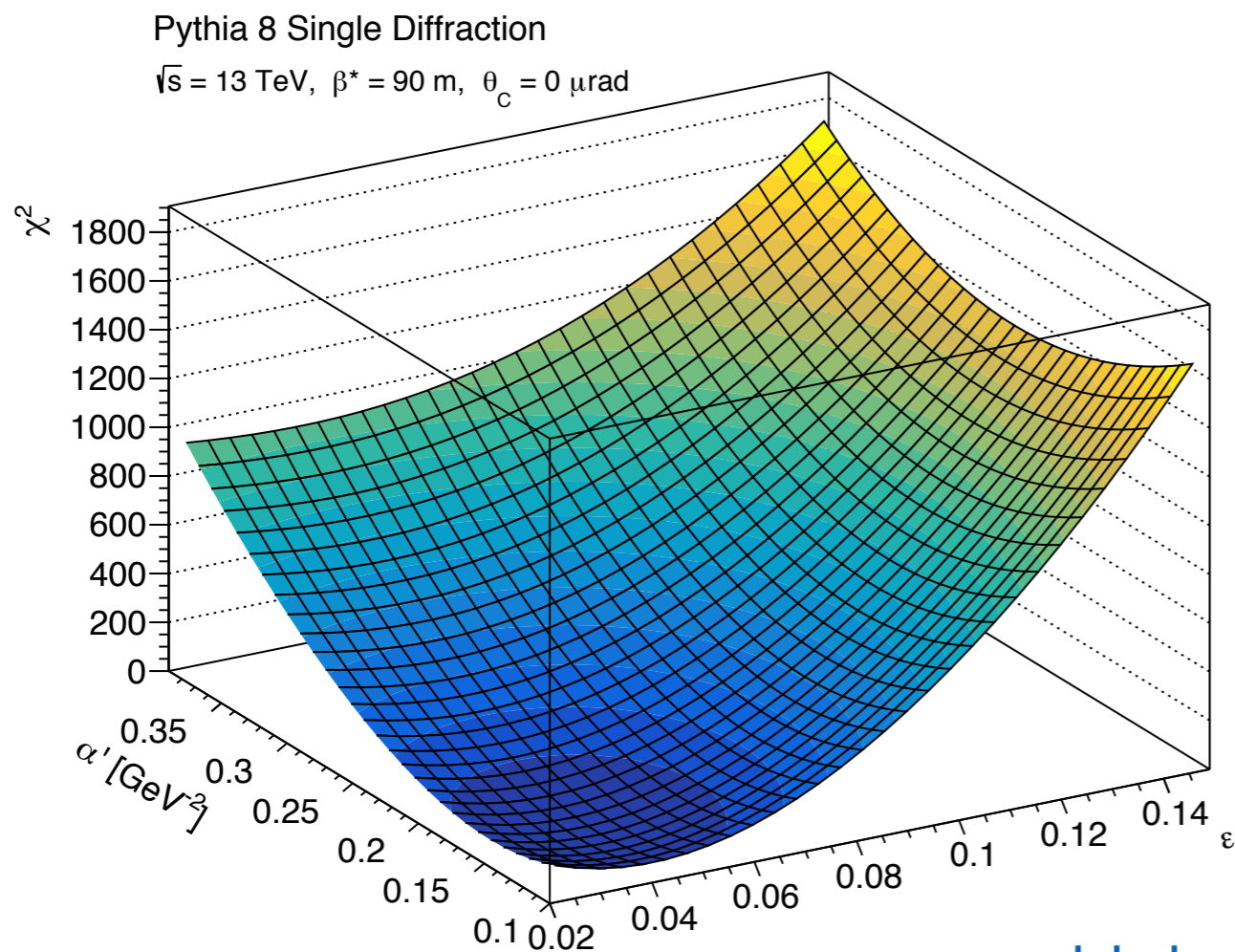




# Fit Procedure - Expectation Values

Two test samples with an unknown parameterization was generated

Plot of  $\chi^2$  - function for Test Sample 1:



Using Minuit in ROOT for minimization

# Fit Procedure - Results

## Test Sample 1:

True:

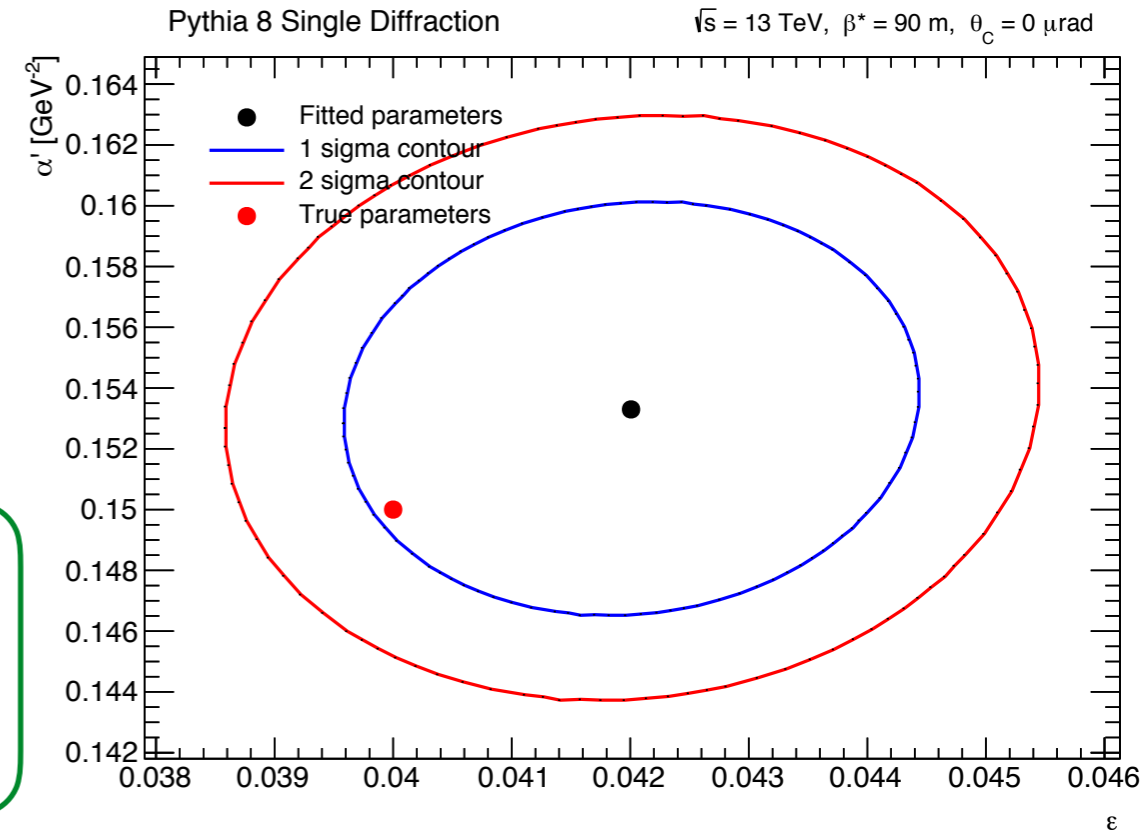
$$\varepsilon = 0.04$$

$$\alpha' = 0.15 \text{ GeV}^{-2}$$

Estimate:

$$\varepsilon = 0.042 \pm 0.002$$

$$\alpha' = 0.154 \pm 0.007 \text{ GeV}^{-2}$$



## Test Sample 2:

True:

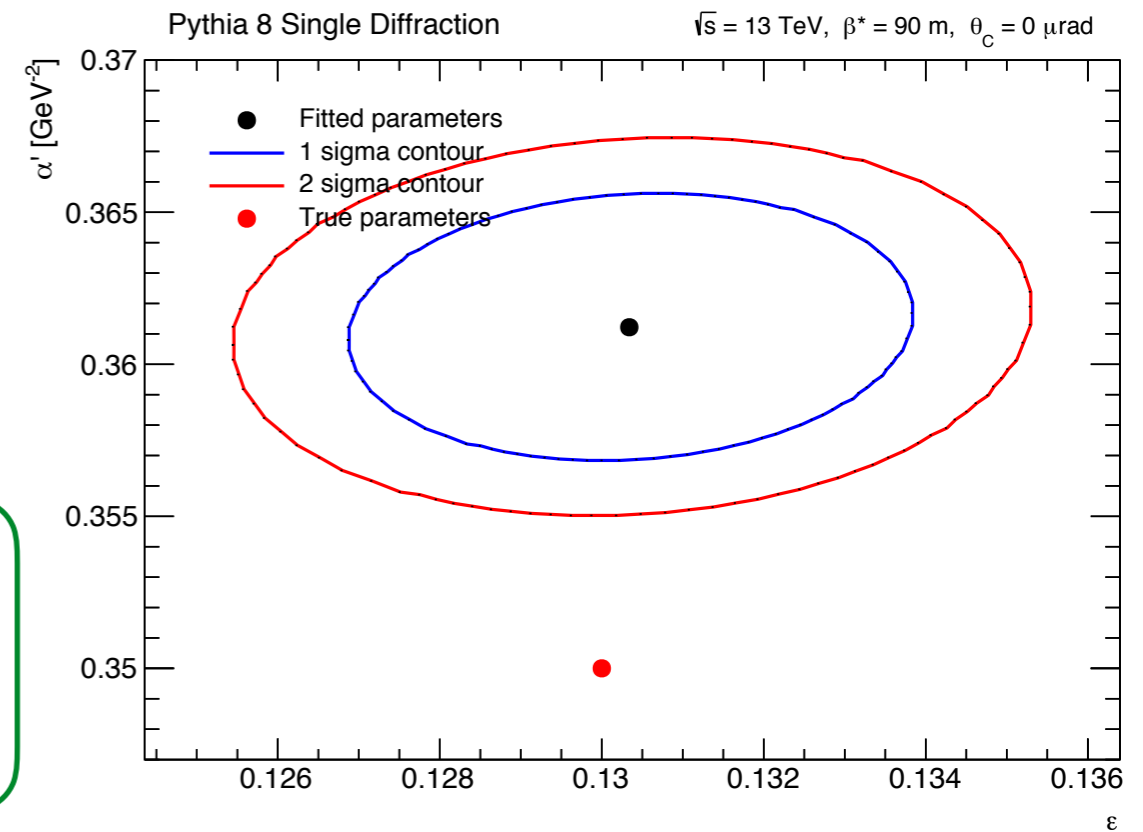
$$\varepsilon = 0.13$$

$$\alpha' = 0.35 \text{ GeV}^{-2}$$

Estimate:

$$\varepsilon = 0.130 \pm 0.004$$

$$\alpha' = 0.361 \pm 0.004 \text{ GeV}^{-2}$$



# Fit Procedure - Discussion

Possible improvements to the fit procedure:

Generating more samples will improve resolution  
in the parameter values

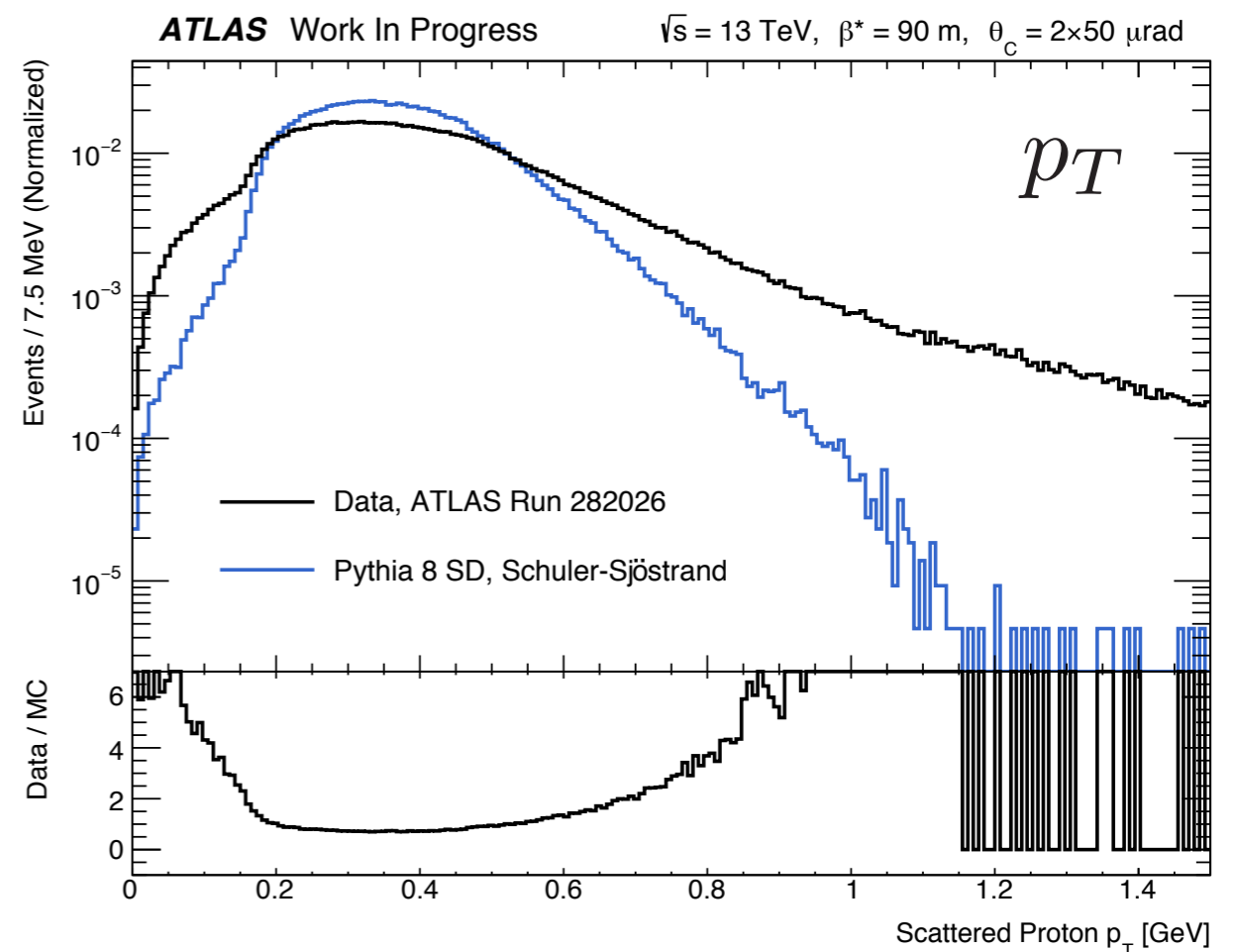
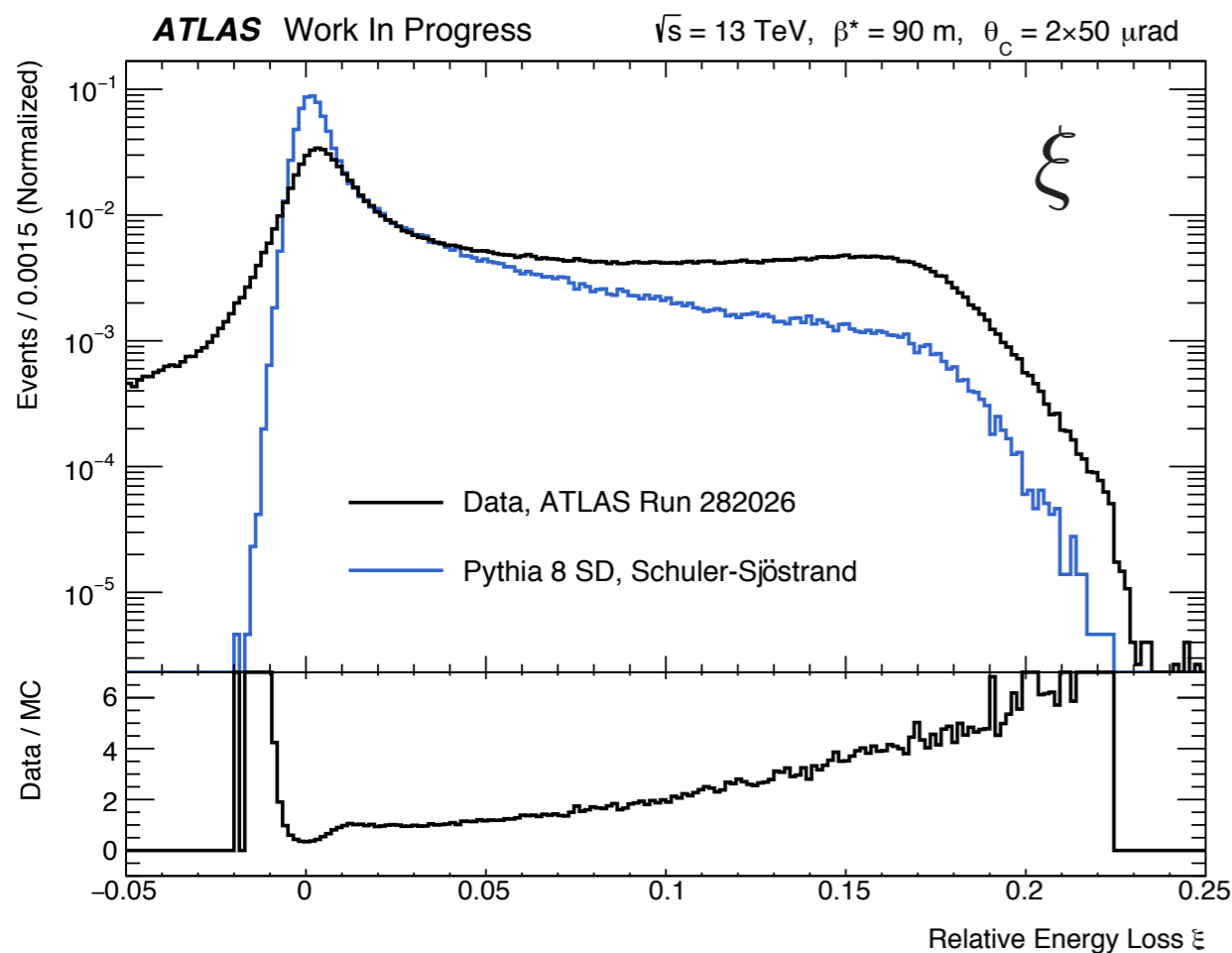
More events per sample will give better statistics

## **Data Analysis**

A look at new 13 TeV data from ATLAS and ALFA

# Data Analysis - Results

## Data Results compared to Simulated SD



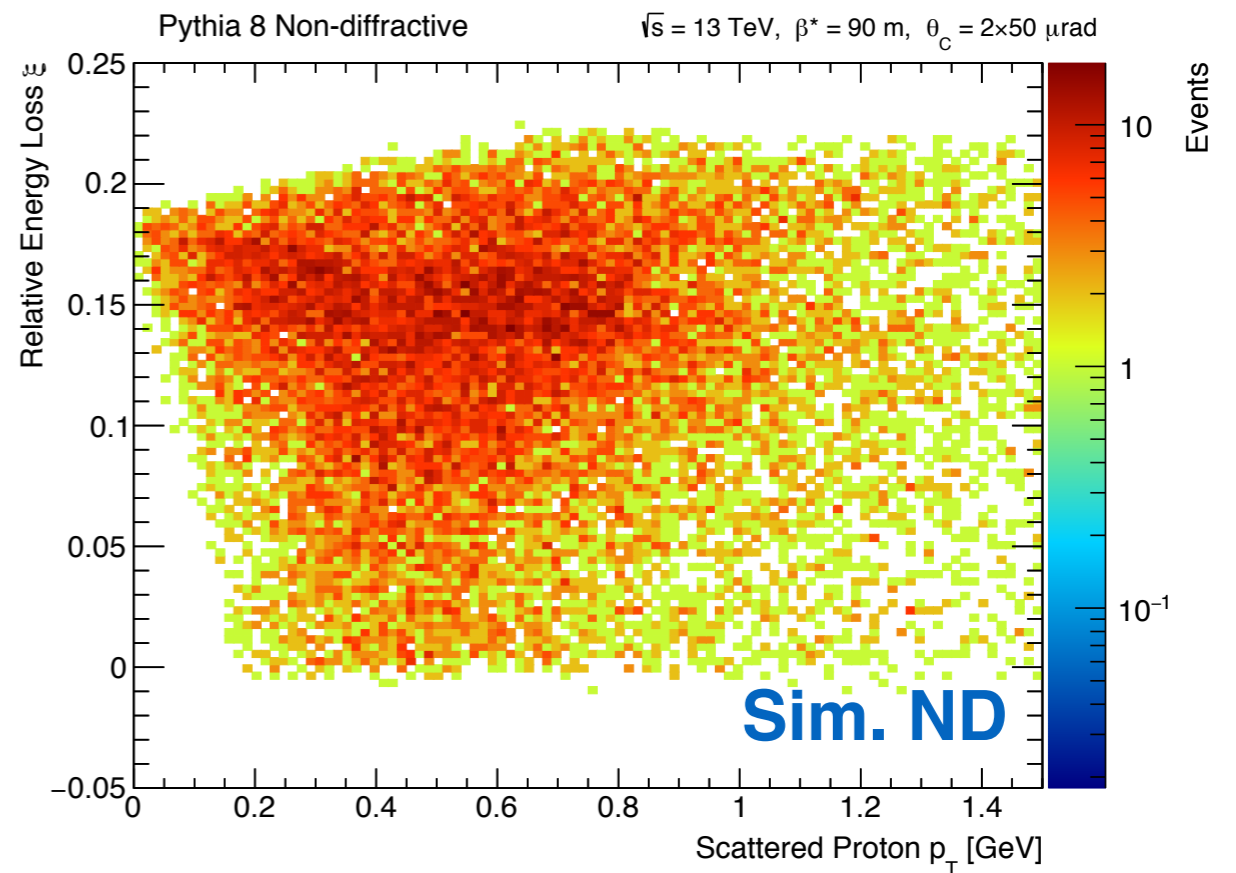
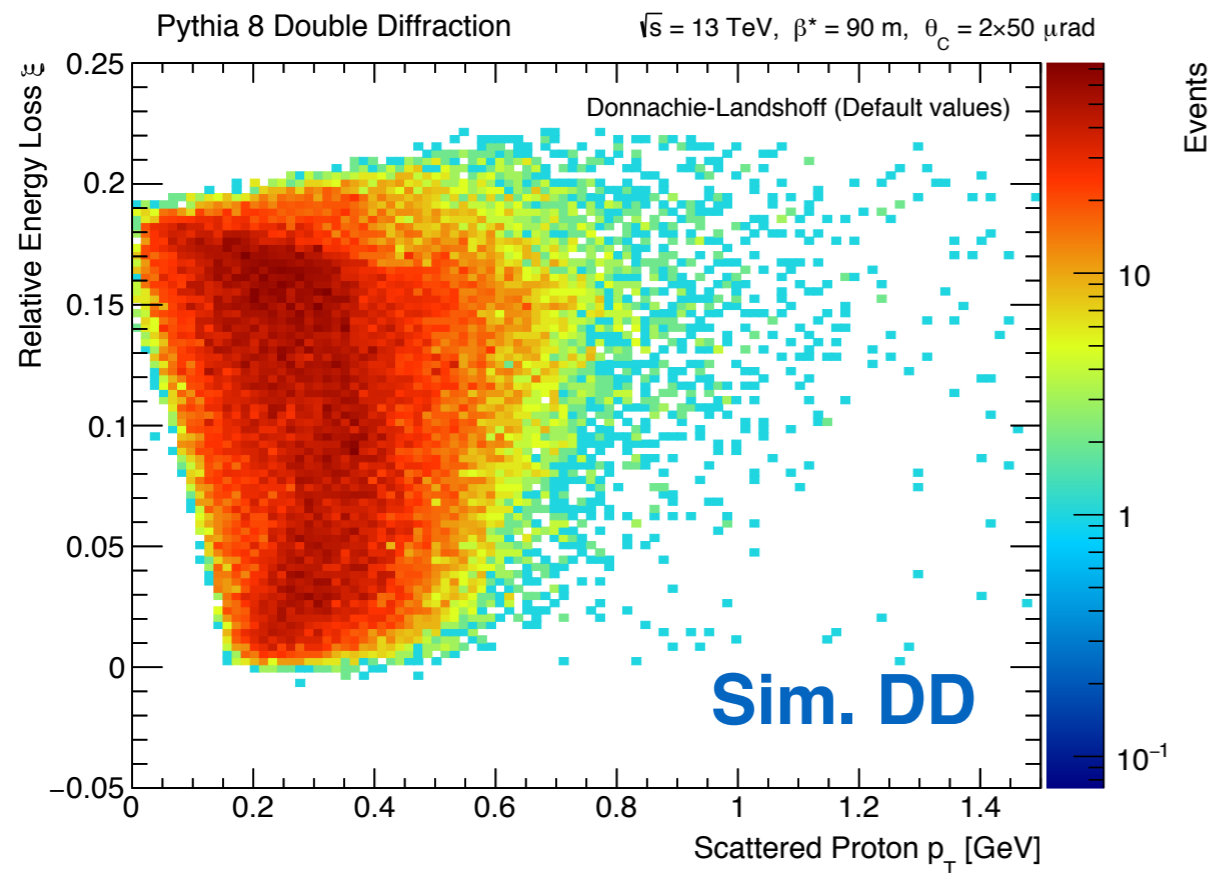
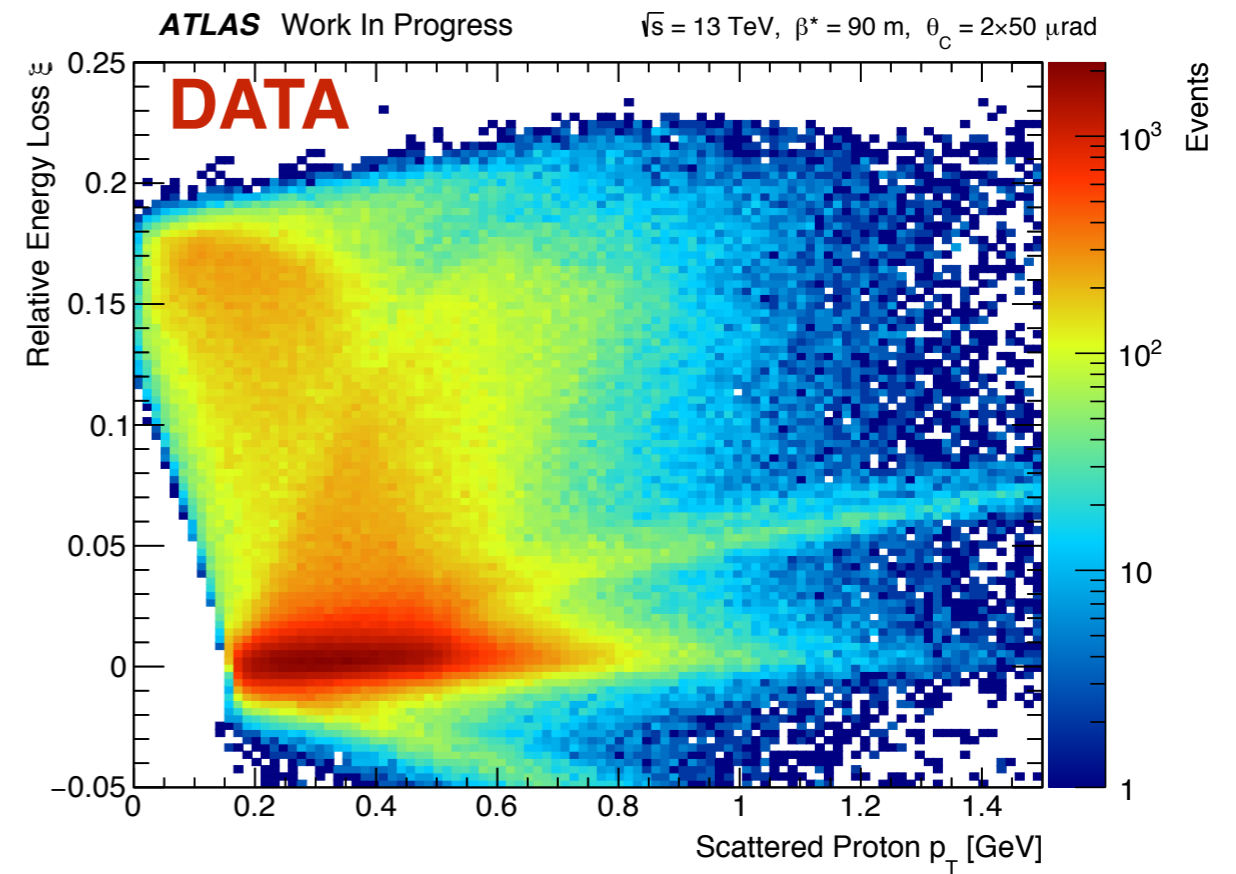
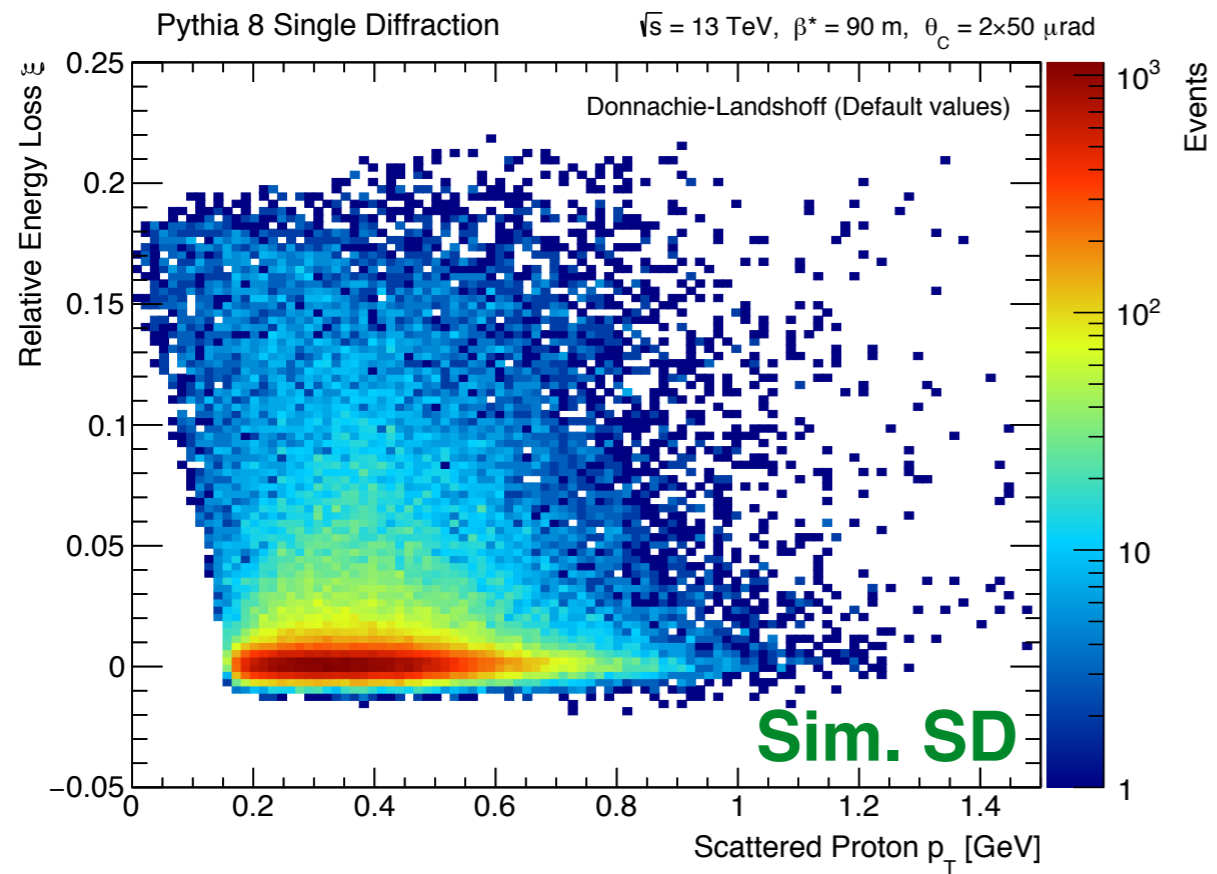
Regge Theory predicts  $1/\xi$

But we see a flat shoulder (seen before)

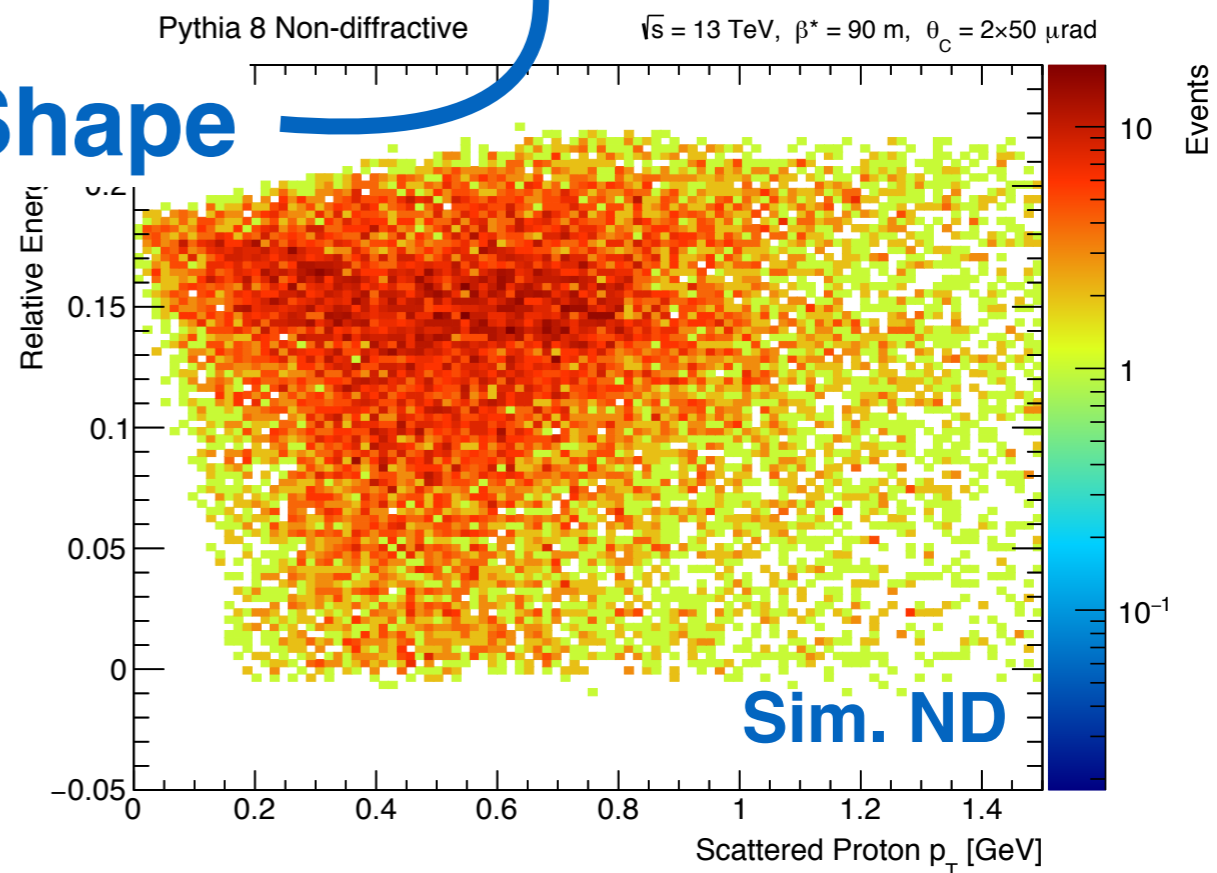
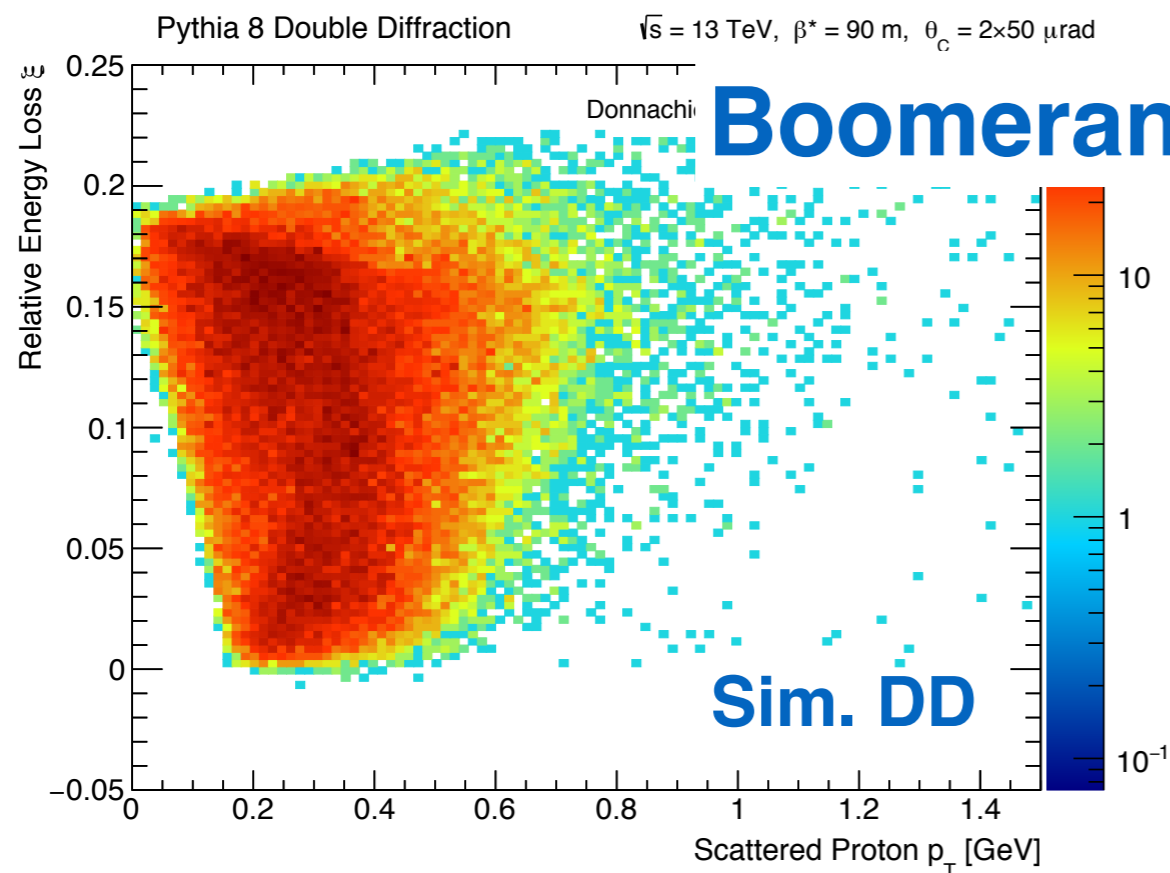
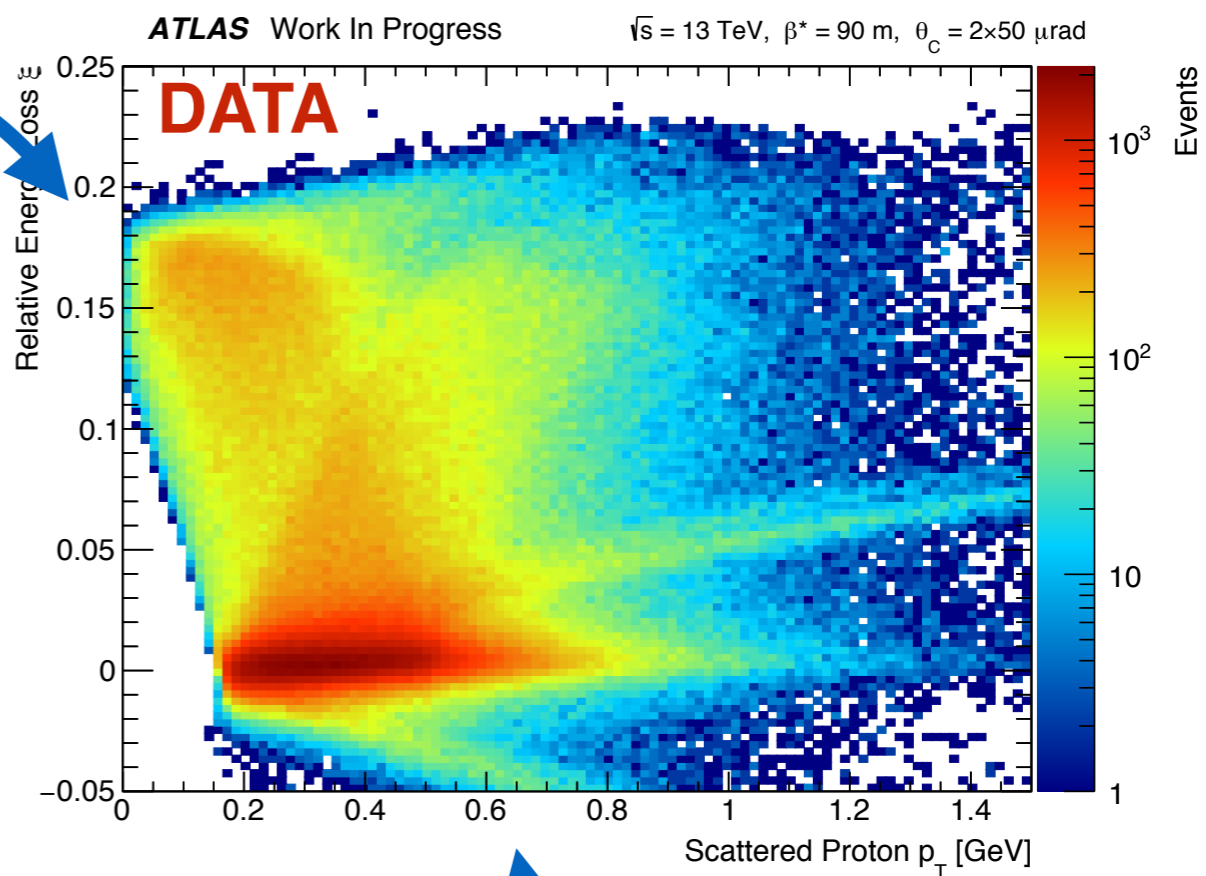
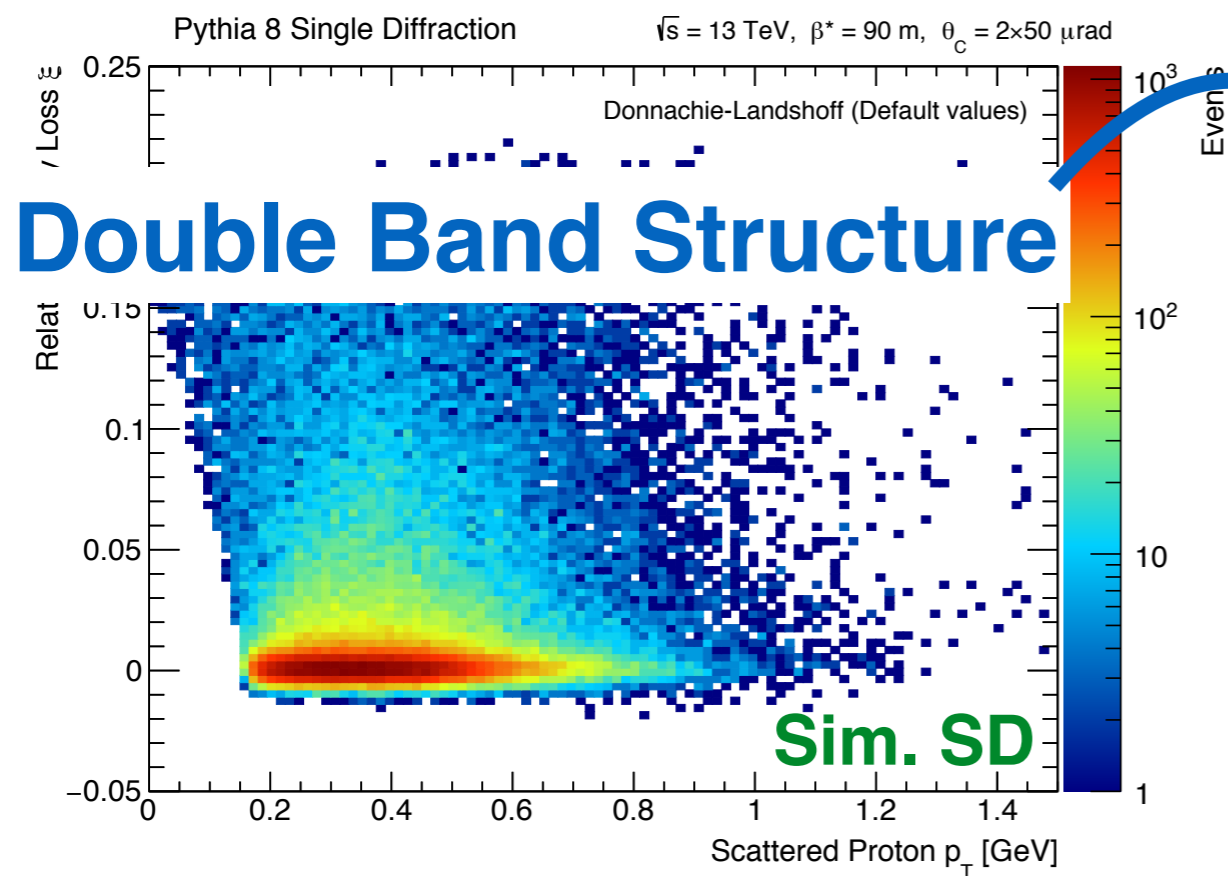
## Possible Background Sources:

- Beam Background
- Non-diffractive background
- Double diffractive background

# Data Analysis - Background



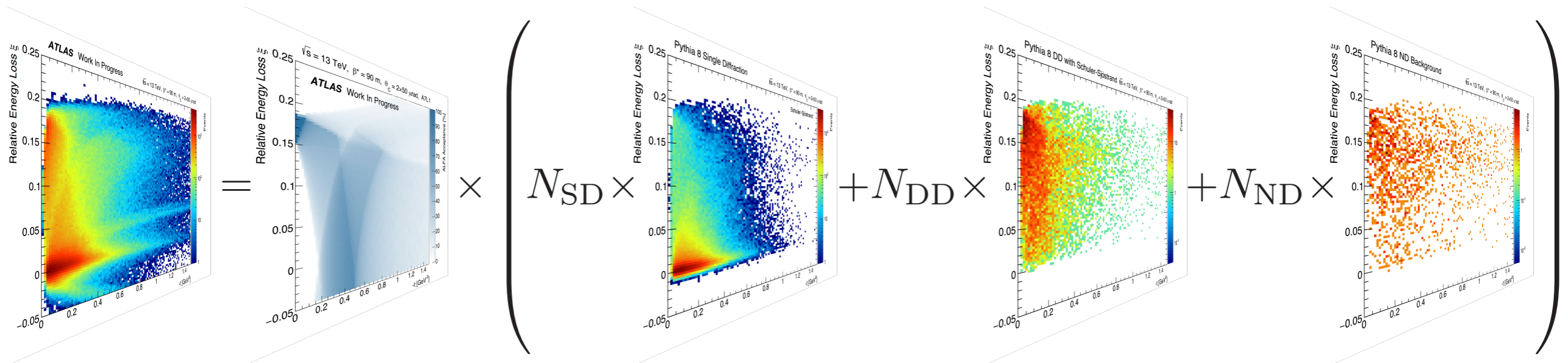
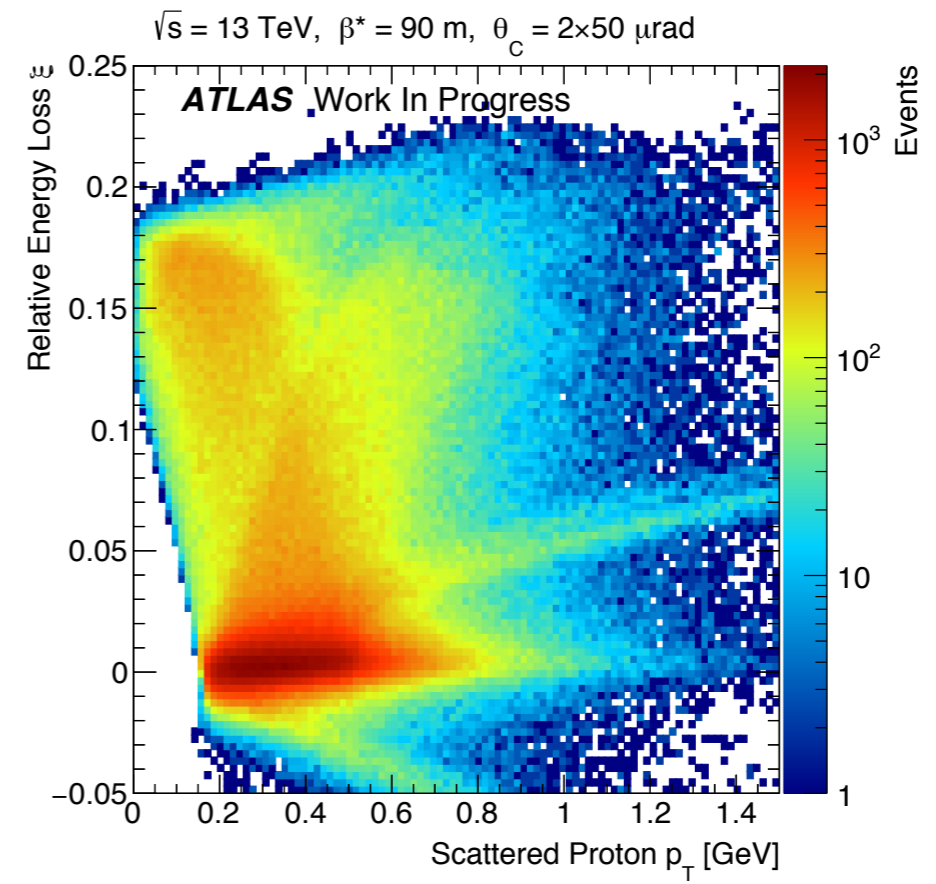
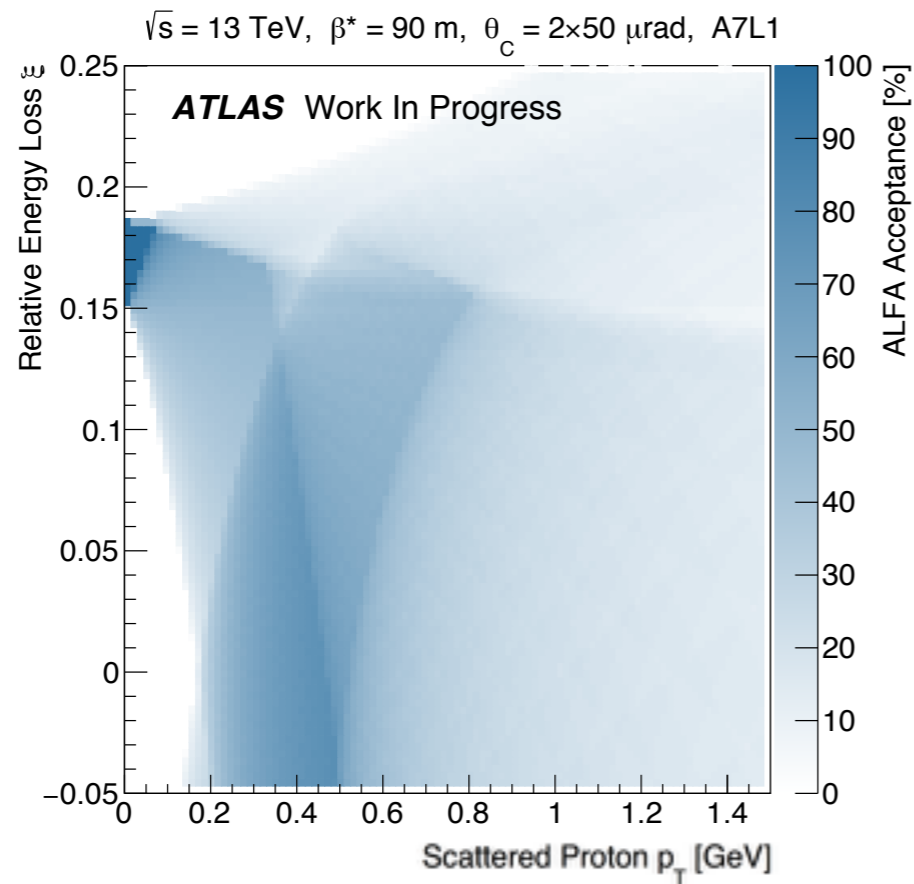
# Data Analysis - Background





# Data Analysis - Mapping

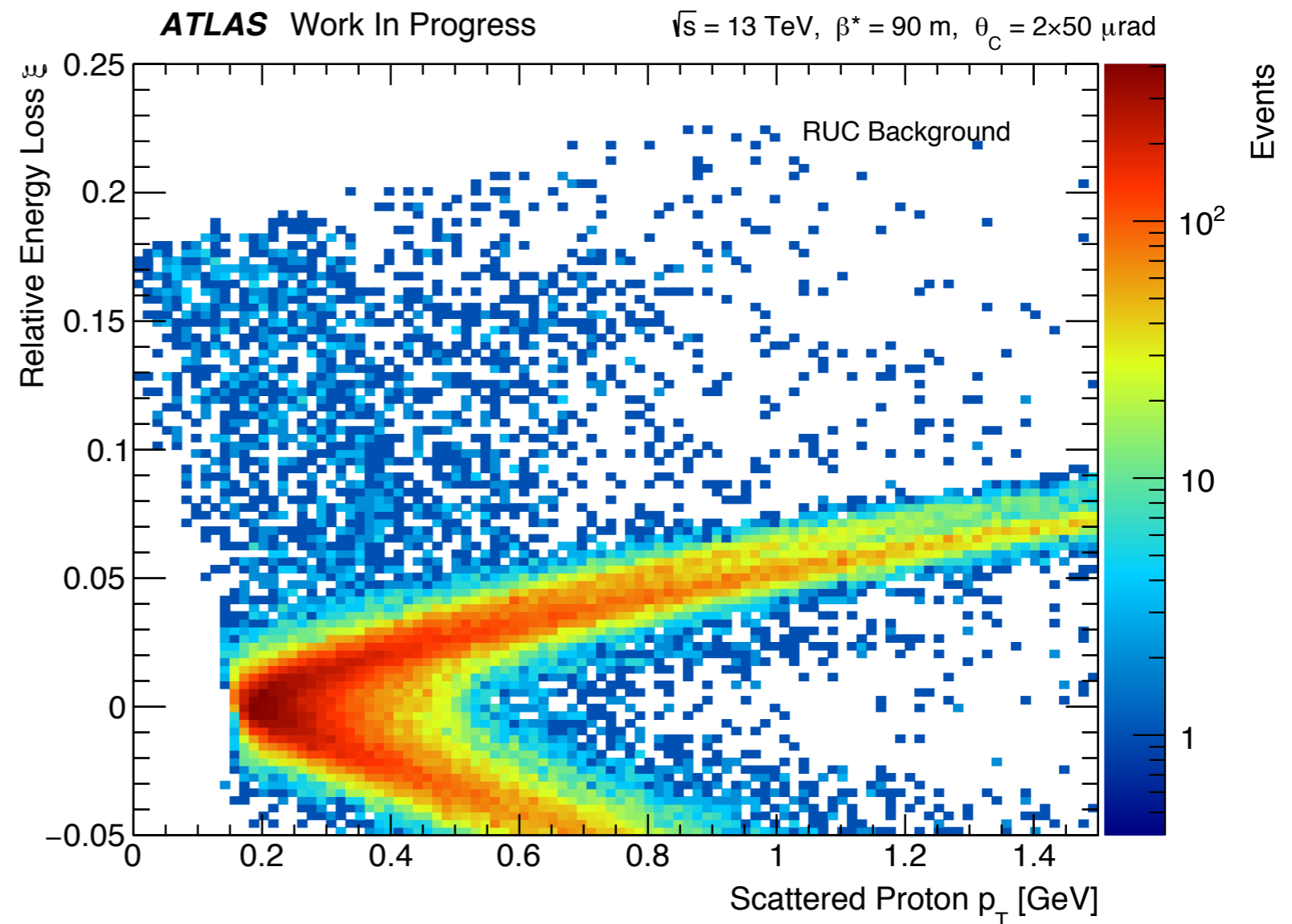
## Mapping onto Acceptance Region:



## Beam Background

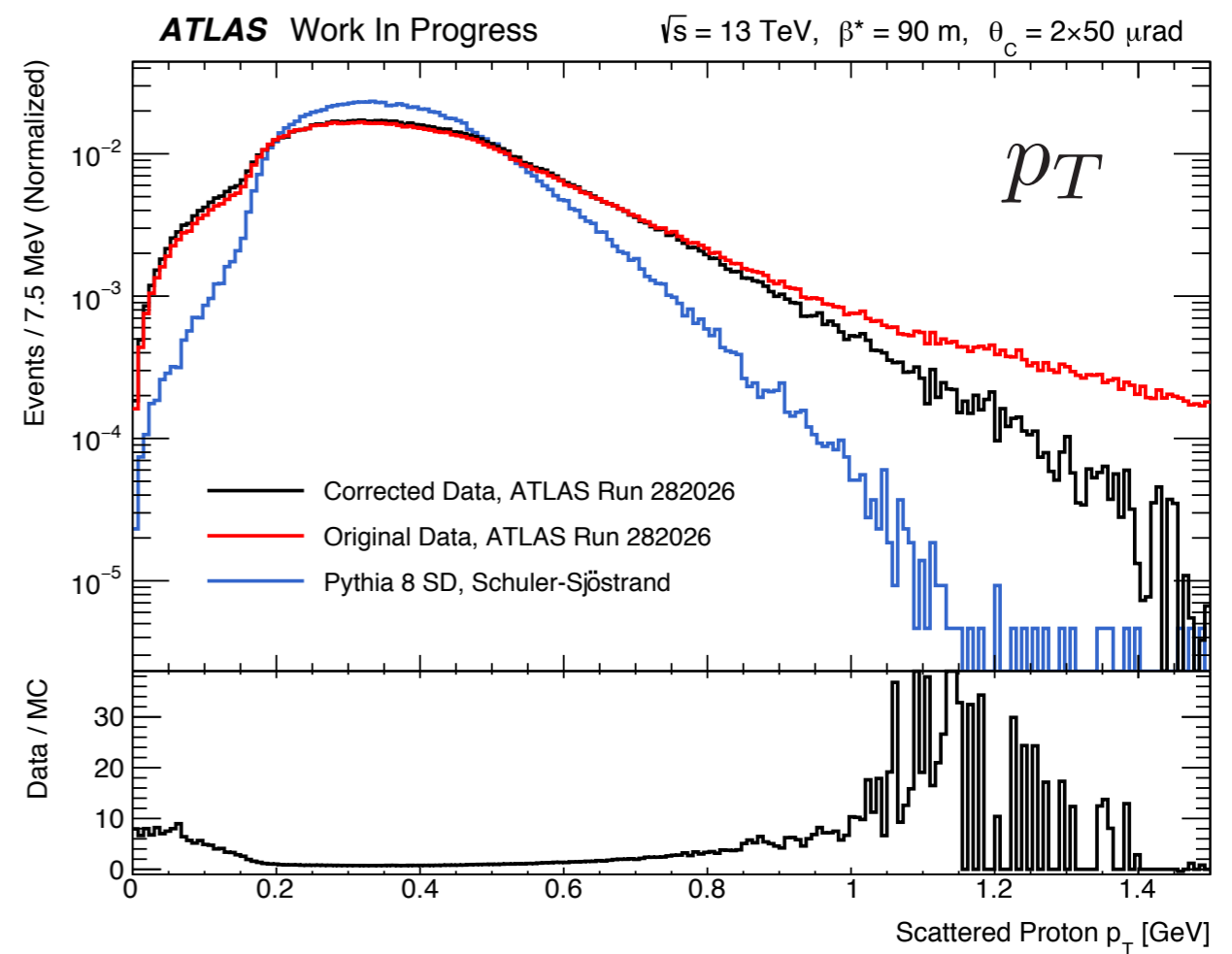
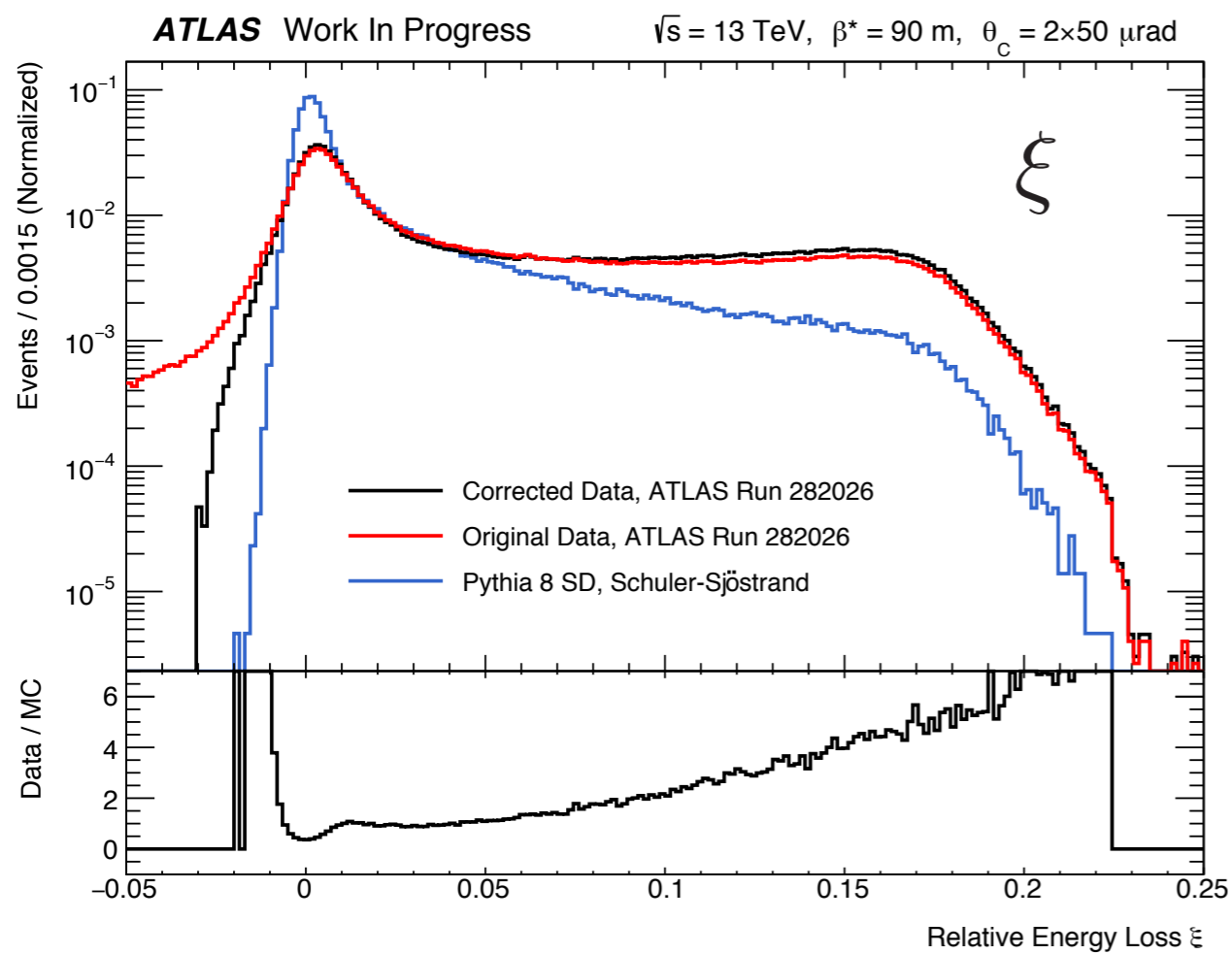
### Random Uncorrelated Coincidences (RUCs)

Beam background (RUCs) give a characteristic “boomerang” shape



# Data Analysis - RUCs

When knowing the normalization of the beam background the distribution of RUCs can be subtracted from data



# Data Analysis

Background Levels:  $\sigma_{\text{visible}} = \sigma \cdot A$

$$\sigma_{\text{tot}} = 100 \text{ mb}$$

$$\sigma_{\text{SD}} = 15 \text{ mb}$$

$$\sigma_{\text{DD}} = 5 \text{ mb}$$

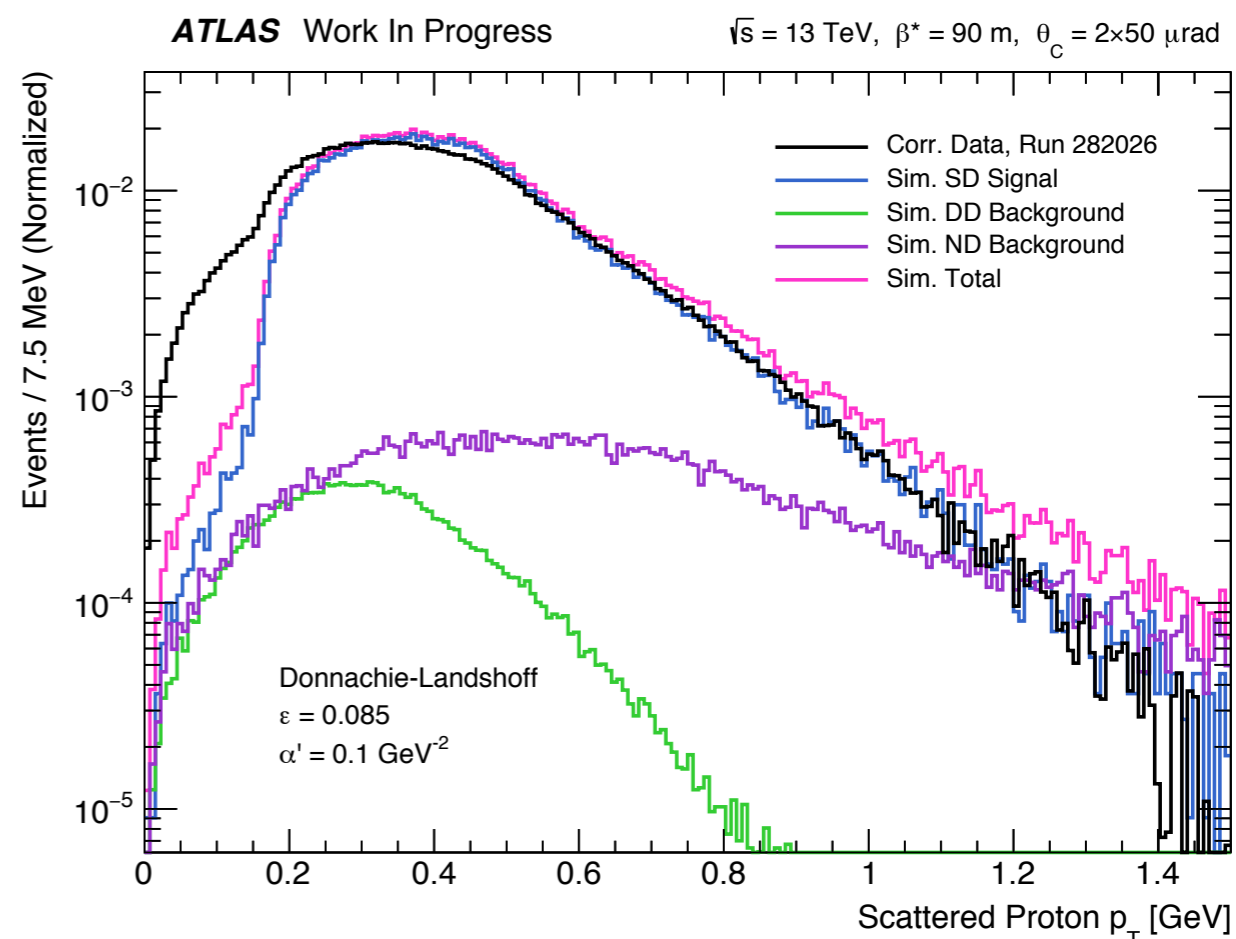
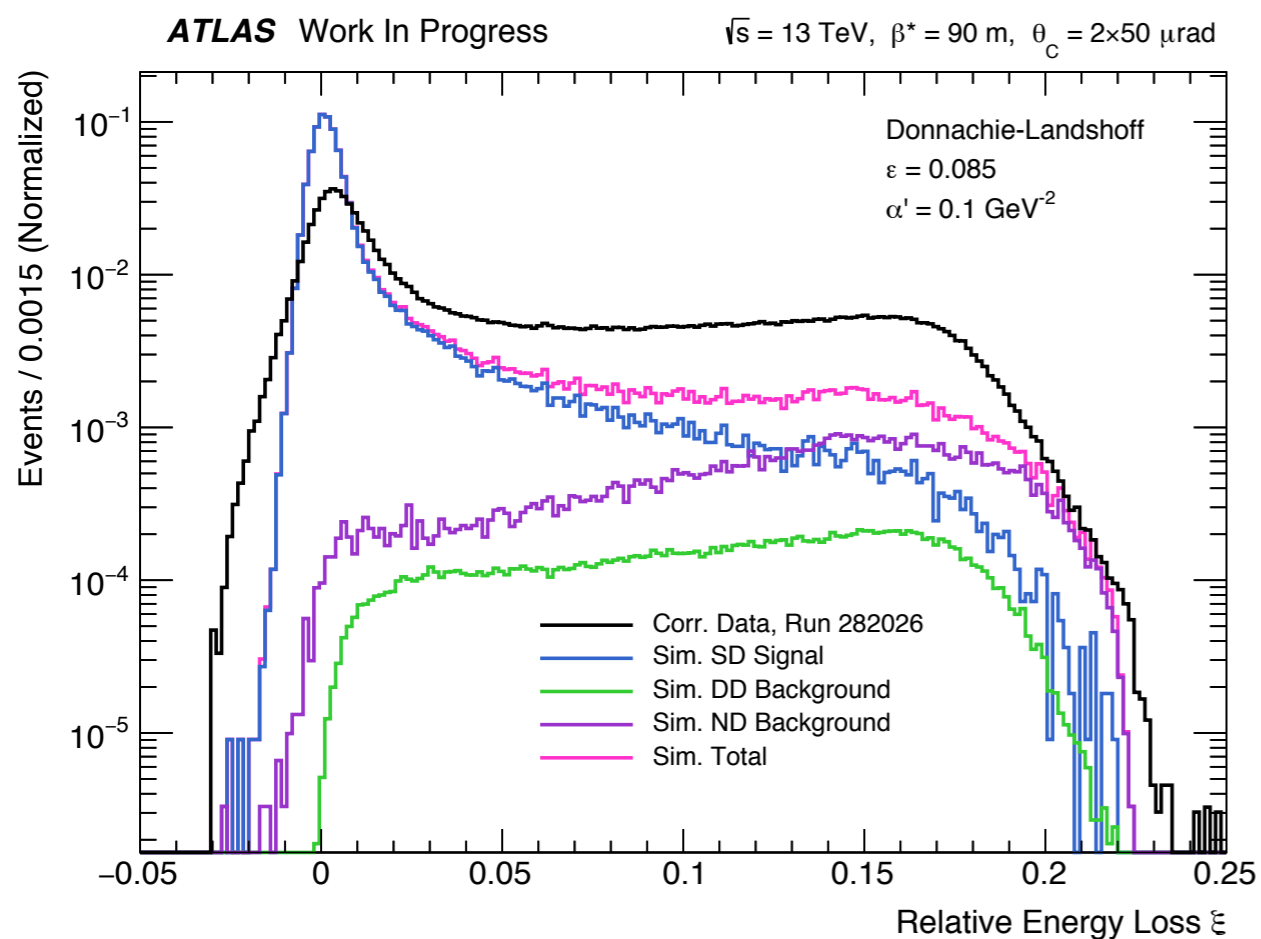
$$\sigma_{\text{ND}} = 60 \text{ mb}$$



$$N_{\text{SD}} = 91\%$$

$$N_{\text{DD}} = 2\%$$

$$N_{\text{ND}} = 7\%$$



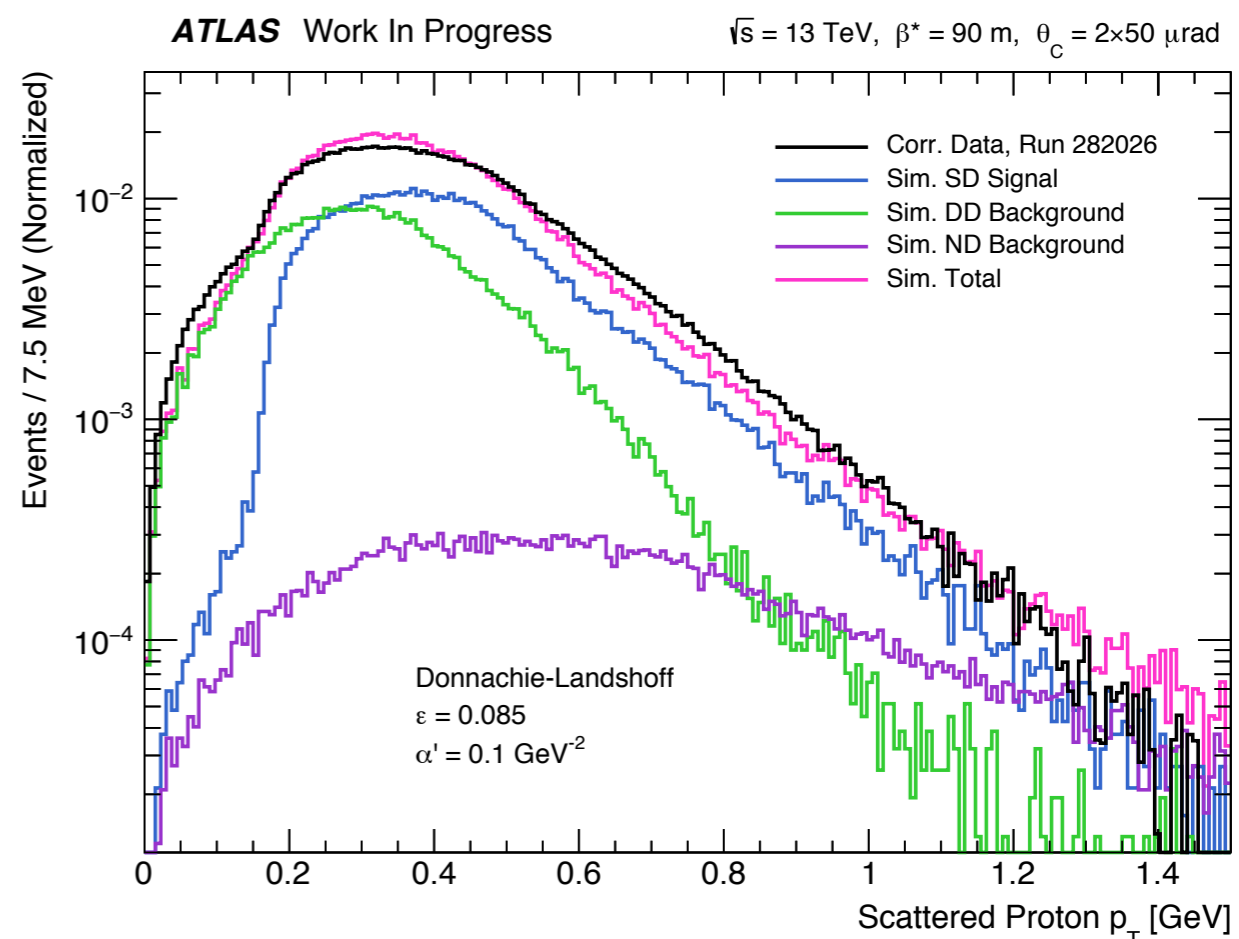
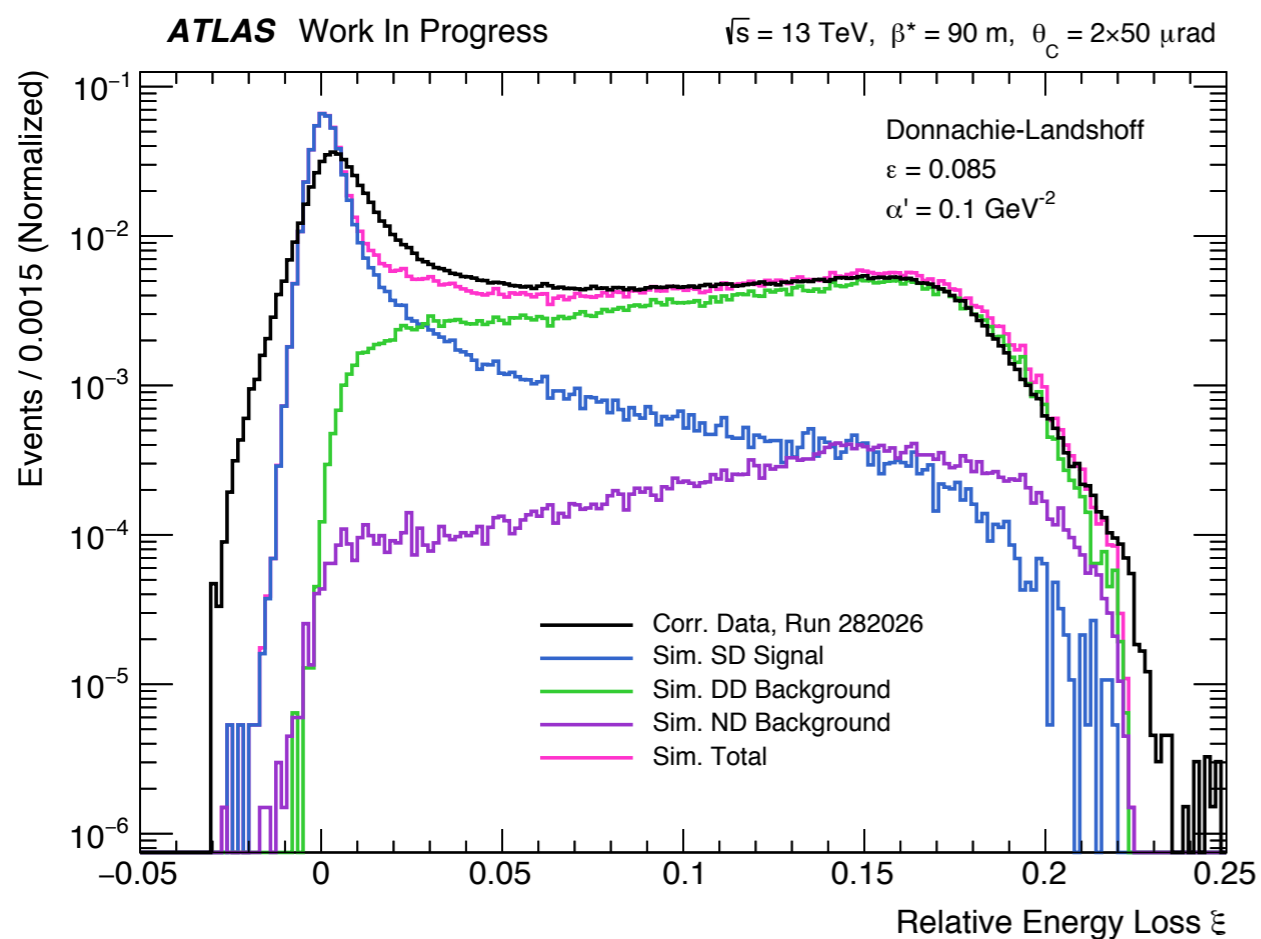
# Data Analysis

Now, we let the  
relative normalizations  
be free parameters

$$N_{SD} = 54\%$$

$$N_{DD} = 43\%$$

$$N_{ND} = 3\%$$



## Summary and Conclusions

- Hadronic diffraction is not well-understood and many different approaches have been proposed
- A simulation framework was developed to study diffraction at the ATLAS and ALFA detector
- New 13 TeV data was analysed  
Flat plateau observed that is not yet fully understood

## Outlook and Future Studies

- Until we understand the flat plateau, we cannot use the fit procedure on data
- A full Geant4 simulation of ATLAS, ALFA, and the LHC magnets will provide a better understanding of the background
- Study of energy-dependent multiple scattering and its effects on the ALFA detector resolutions
- Detector Topology being main factor in Data-MC discrepancy?  
Track reconstruction efficiency of the ATLAS ID as a function of pseudorapidity and  $p_T$  could be important

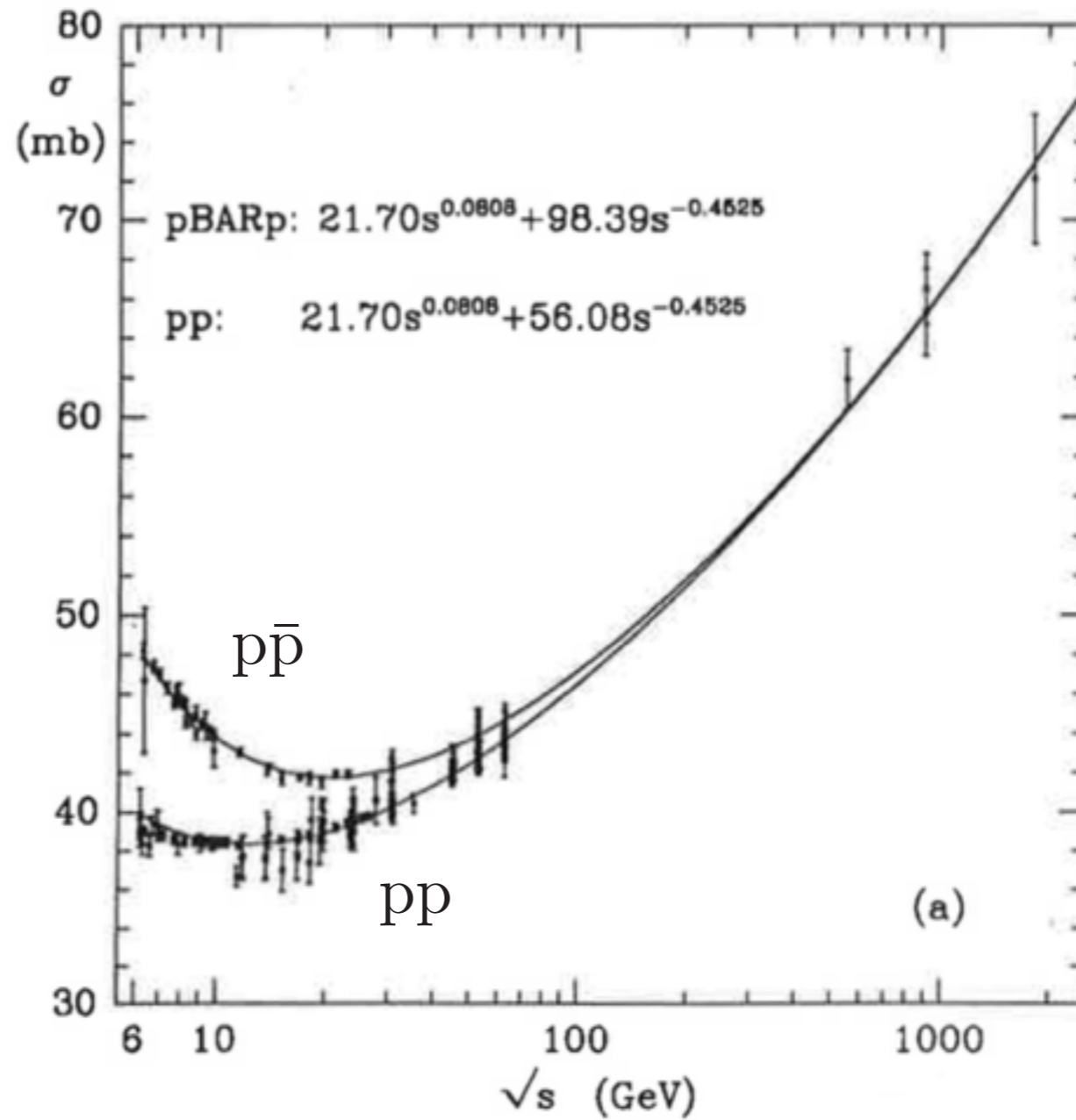
**Thank you for listening!**



# Back-Up Slides

# Behavior of the Total Cross-section

Total  
Cross-section  
 $\sigma$



Rapid decrease  
for low  $s$

Reggeons (pions)  
dominates

Collision energy

Slow increase  
for large  $s$

Pomerons  
dominates

## Several Models implemented in Pythia:

- Schuler-Sjöstrand
  - Default in Pythia
  - Fixed parameter values:  $\varepsilon = 0$ ,  $\alpha' = 0.25 \text{ GeV}^{-2}$
- Donnachie-Landshoff
  - Allows varying parameter values
- Minimum Bias Rockefeller (MBR)
  - Allows varying parameter values

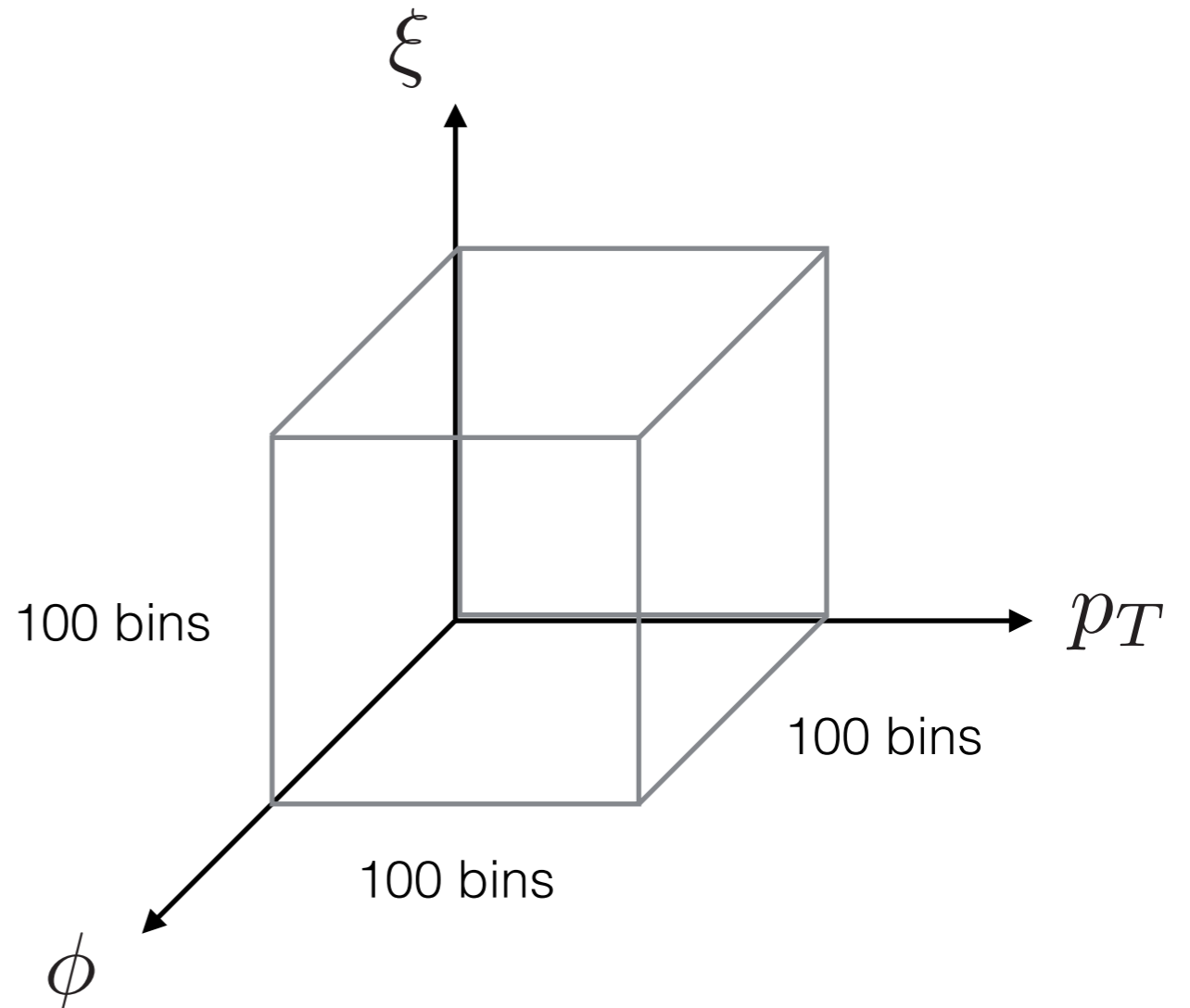
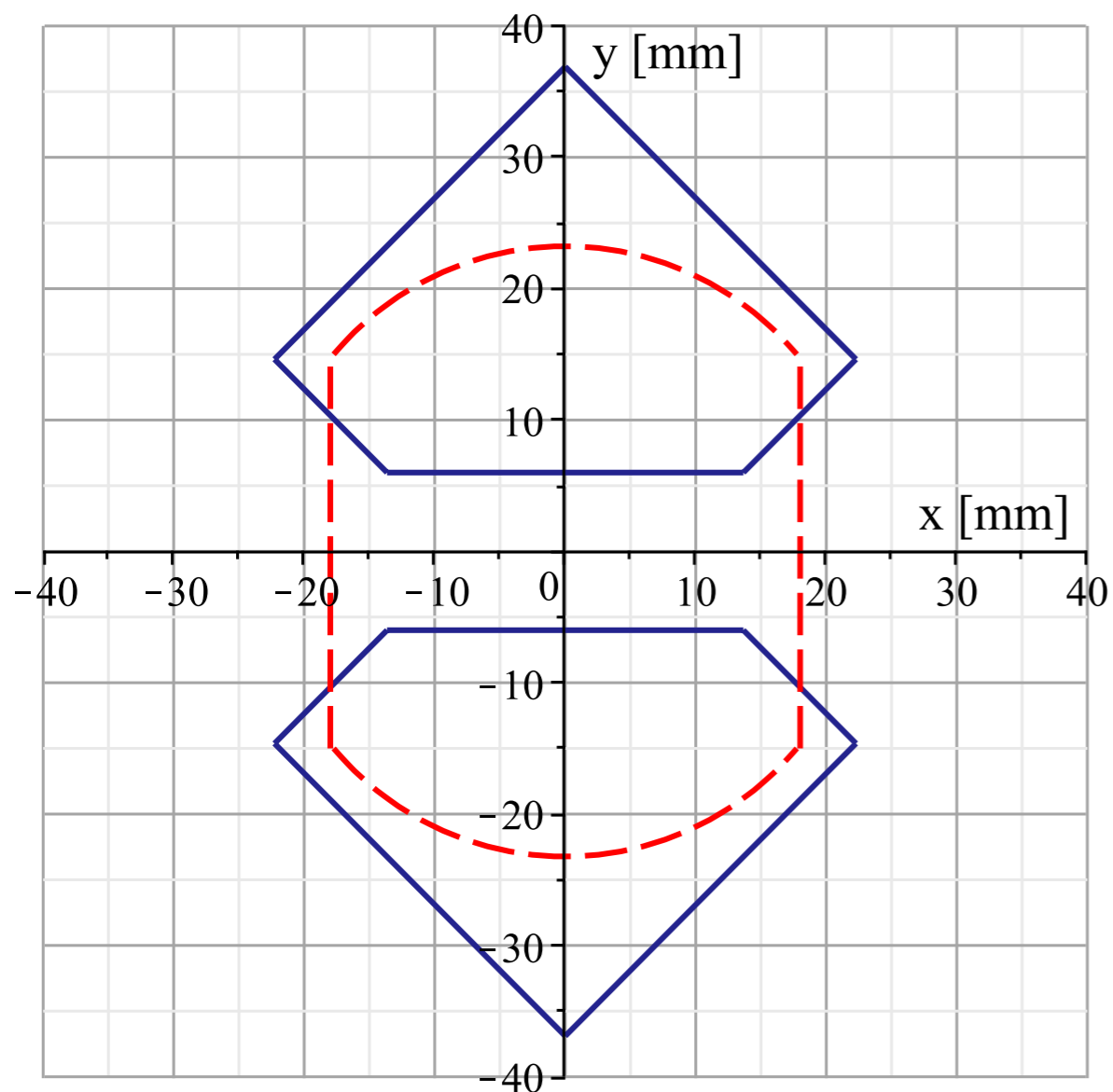
# LHC and ALFA Acceptance

## LHC Acceptance:

Protons may bend so much that they hit the wall of the beam pipe

## ALFA Acceptance:

Protons hitting the ALFA detector

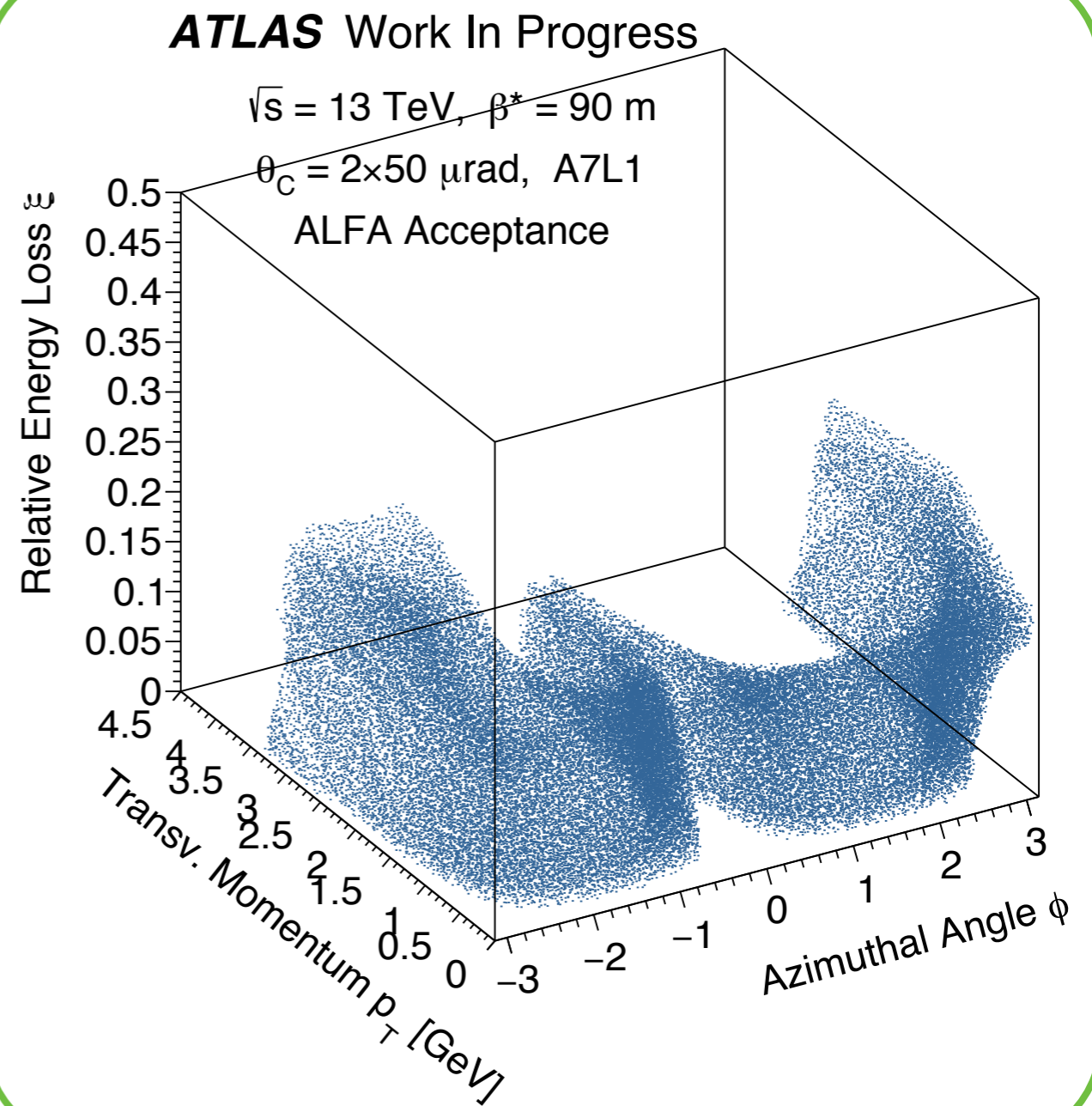
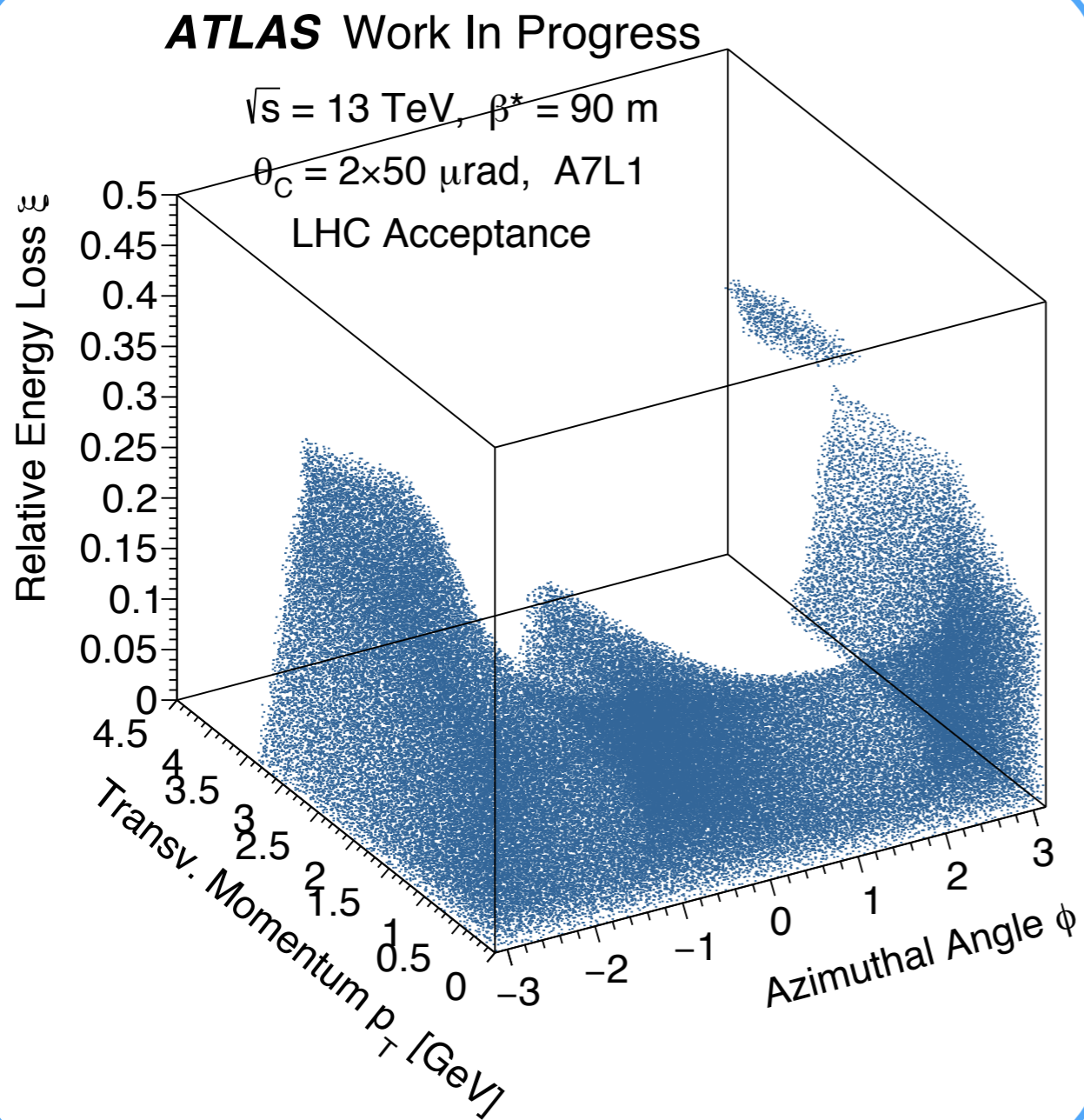


# LHC and ALFA Acceptance

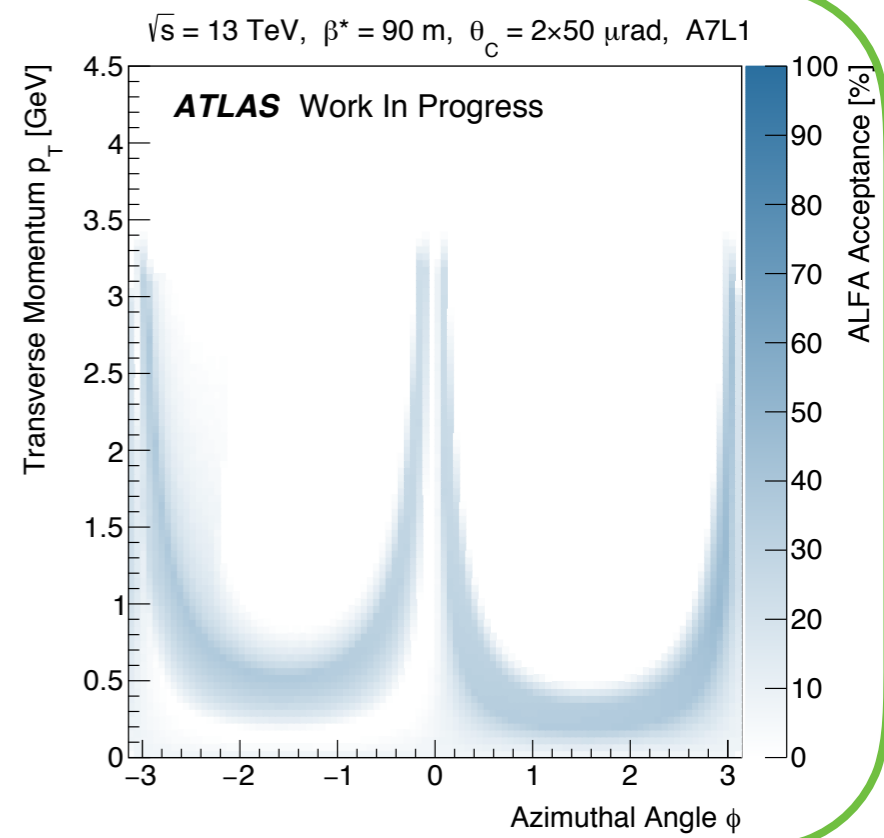
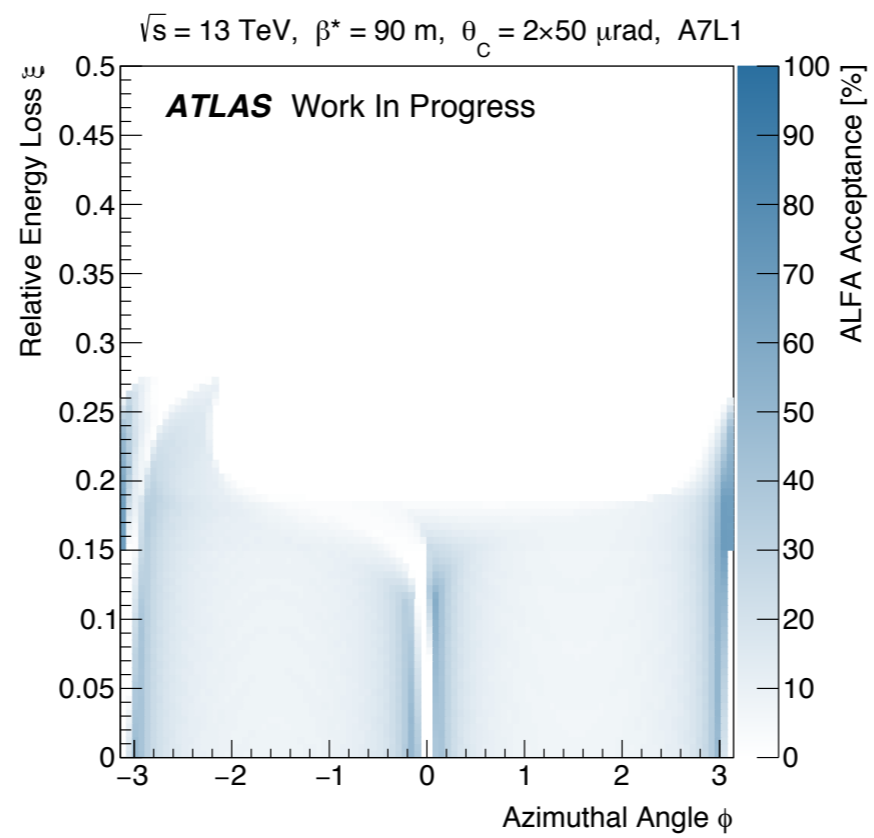
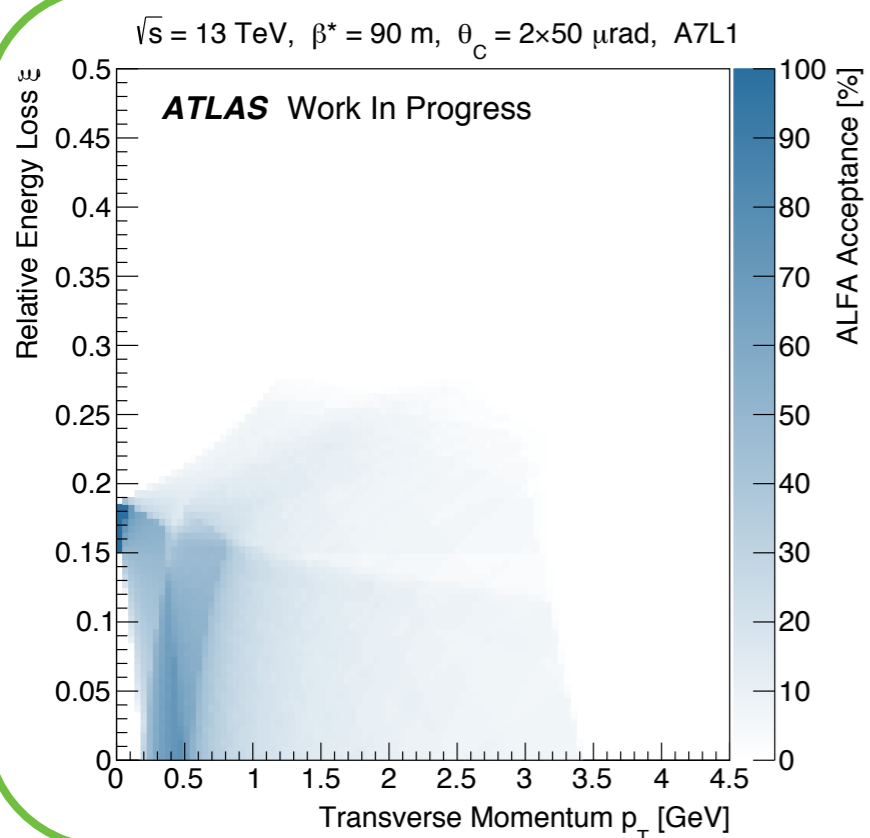
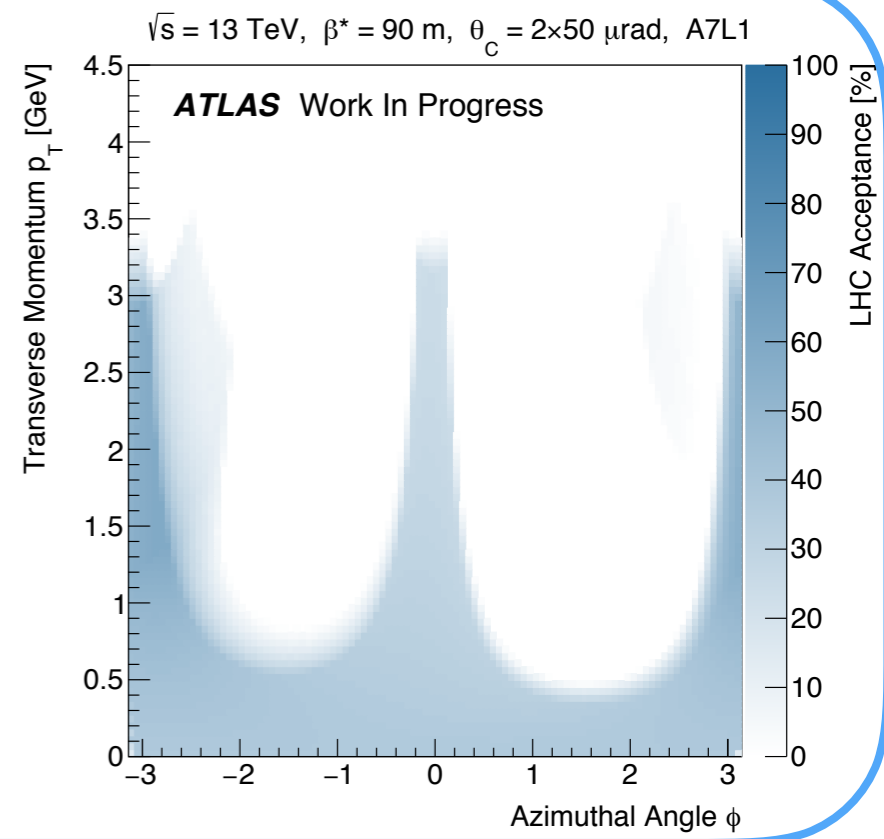
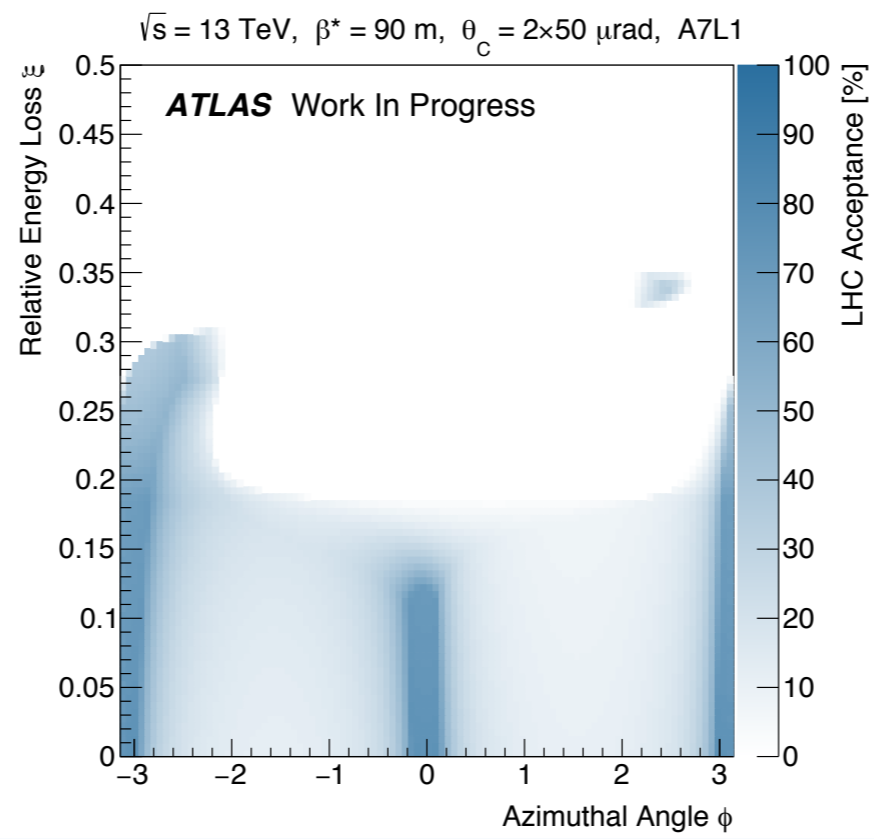
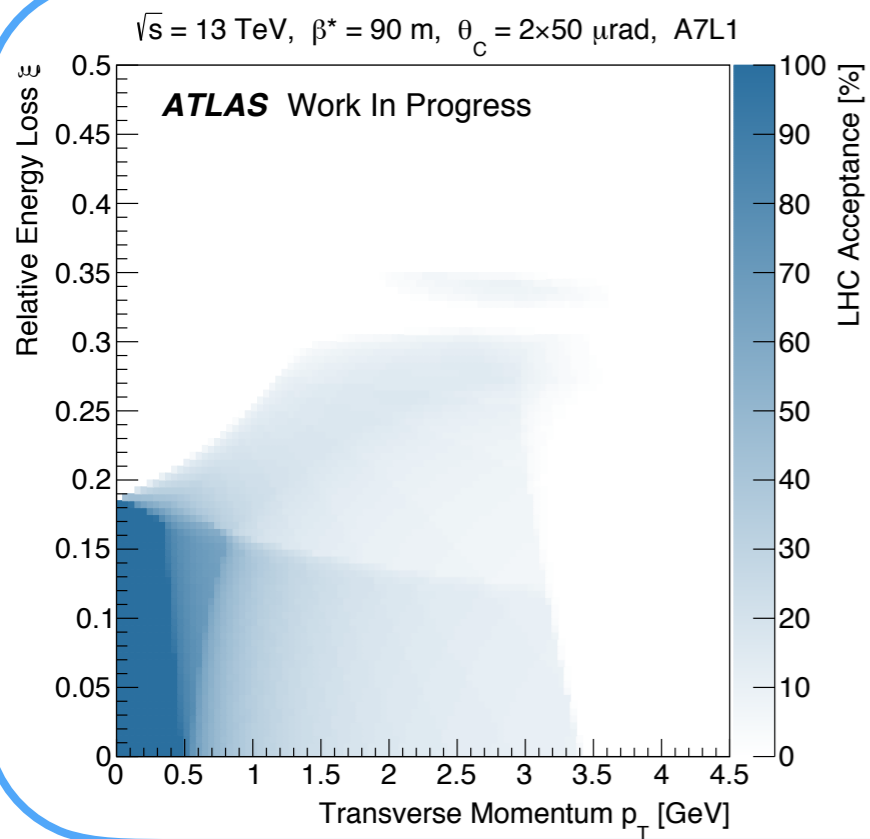
Acceptance Plots for ALFA Detector on A-side, 237 m

LHC Acceptance

ALFA Acceptance



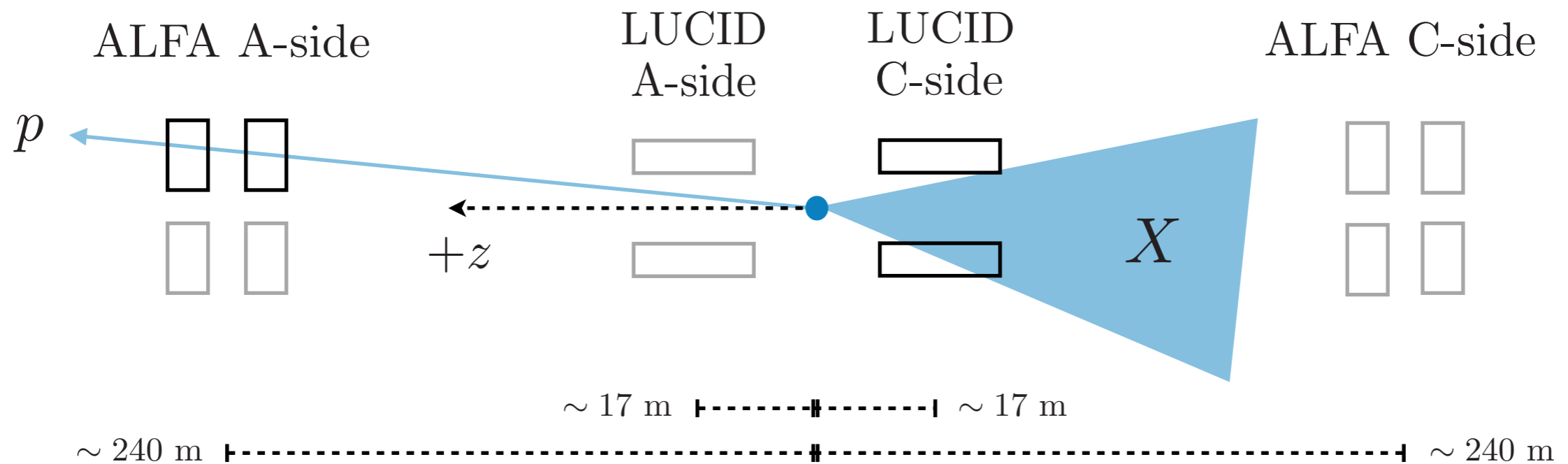
# LHC and ALFA Acceptance



# Data Analysis - LUCID

$$\text{ALFA: } 9 \lesssim |\eta| \lesssim 14$$

$$\text{LUCID: } 5.6 < |\eta| < 5.9$$



A SD proton will NOT hit LUCID

However, background from beam, DD and ND may hit LUCID

# Data Analysis - LUCID

