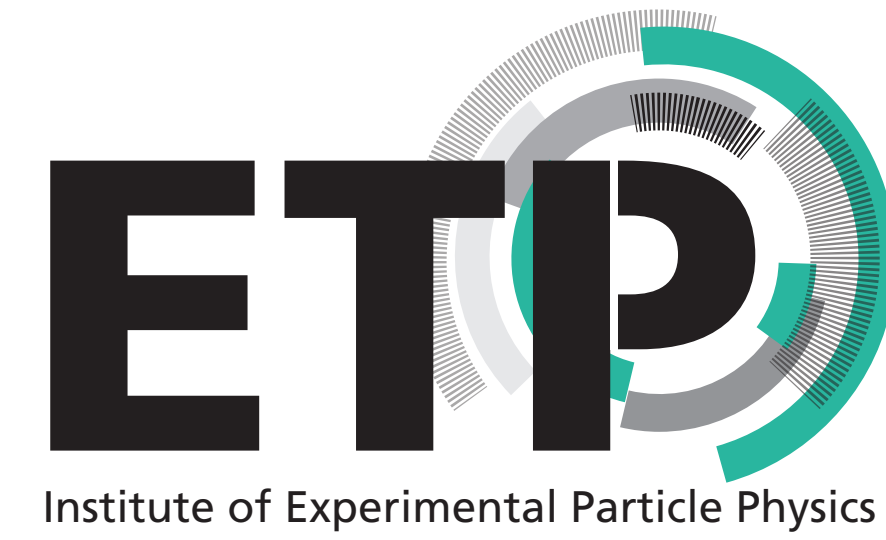
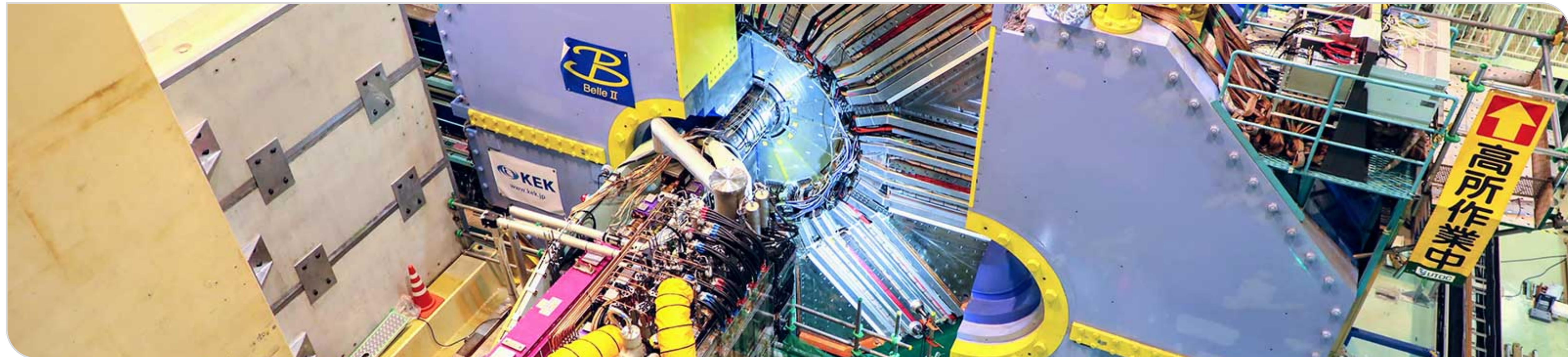


# Evidence for a Rare $B$ Decay with Two Invisible Neutrinos at Belle II

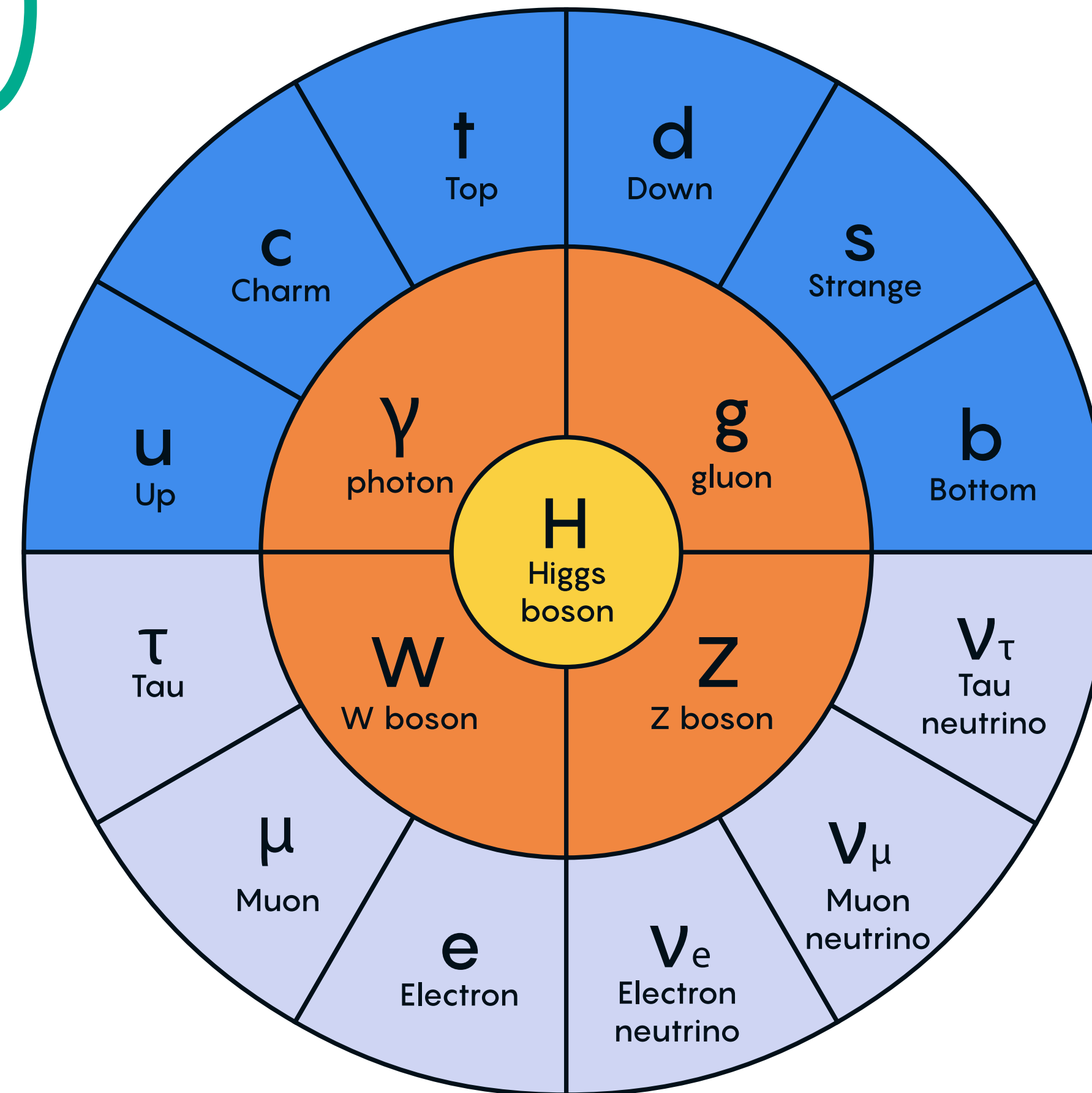
KCETA Colloquium, November 30<sup>th</sup>, 2023  
Slavomira Stefkova



[slavomira.stefkova@kit.edu](mailto:slavomira.stefkova@kit.edu)



# Standard Model of Particle Physics (SM)



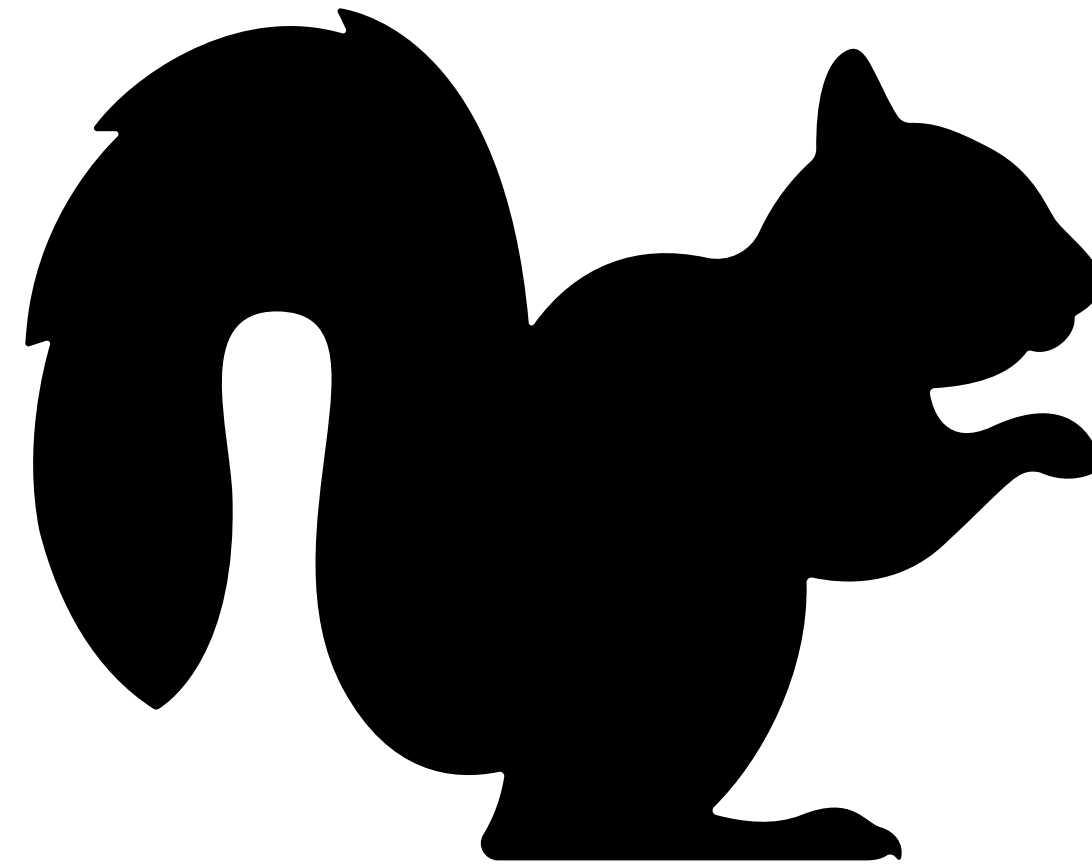
© Quanta Magazine

● QUARKS   ● LEPTONS   ● GAUGE BOSONS   ● HIGGS BOSON

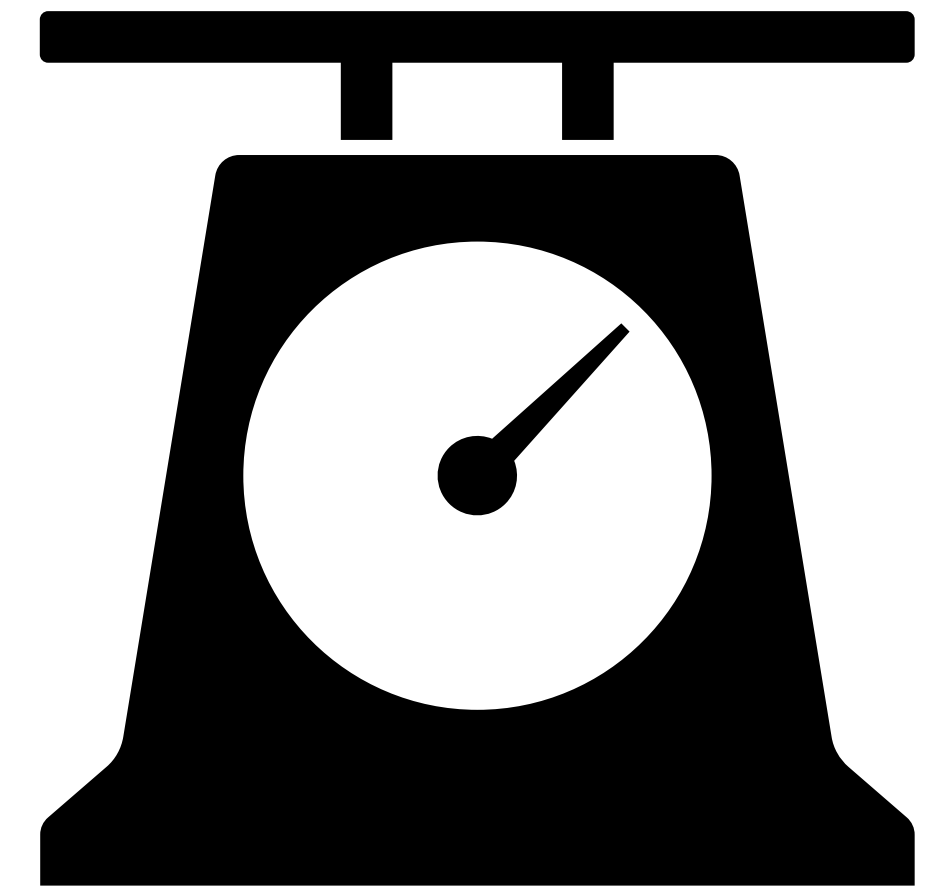
# Open Questions



Matter - antimatter imbalance



Dark Sector



Neutrino masses

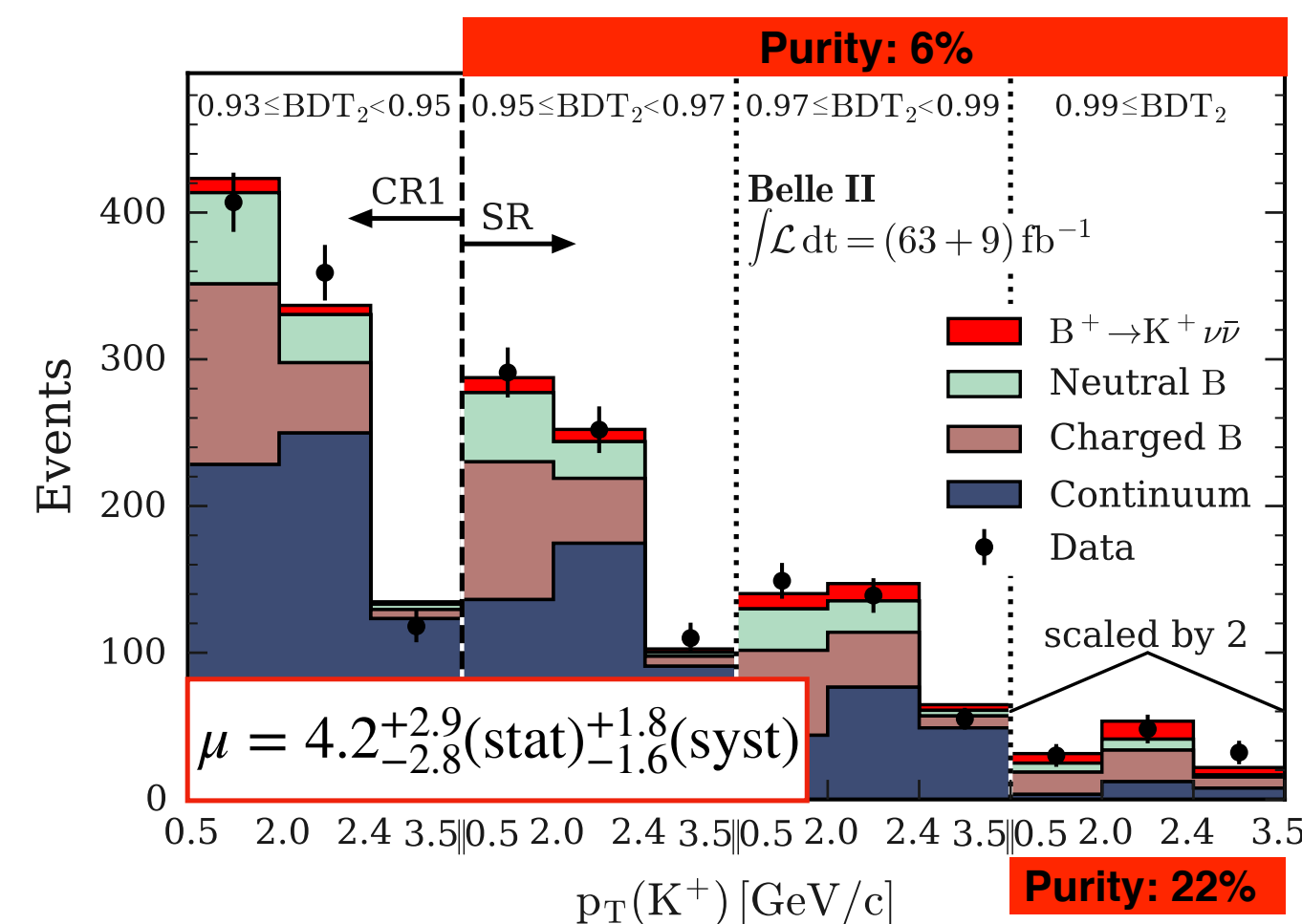
# The Flavour Recipe



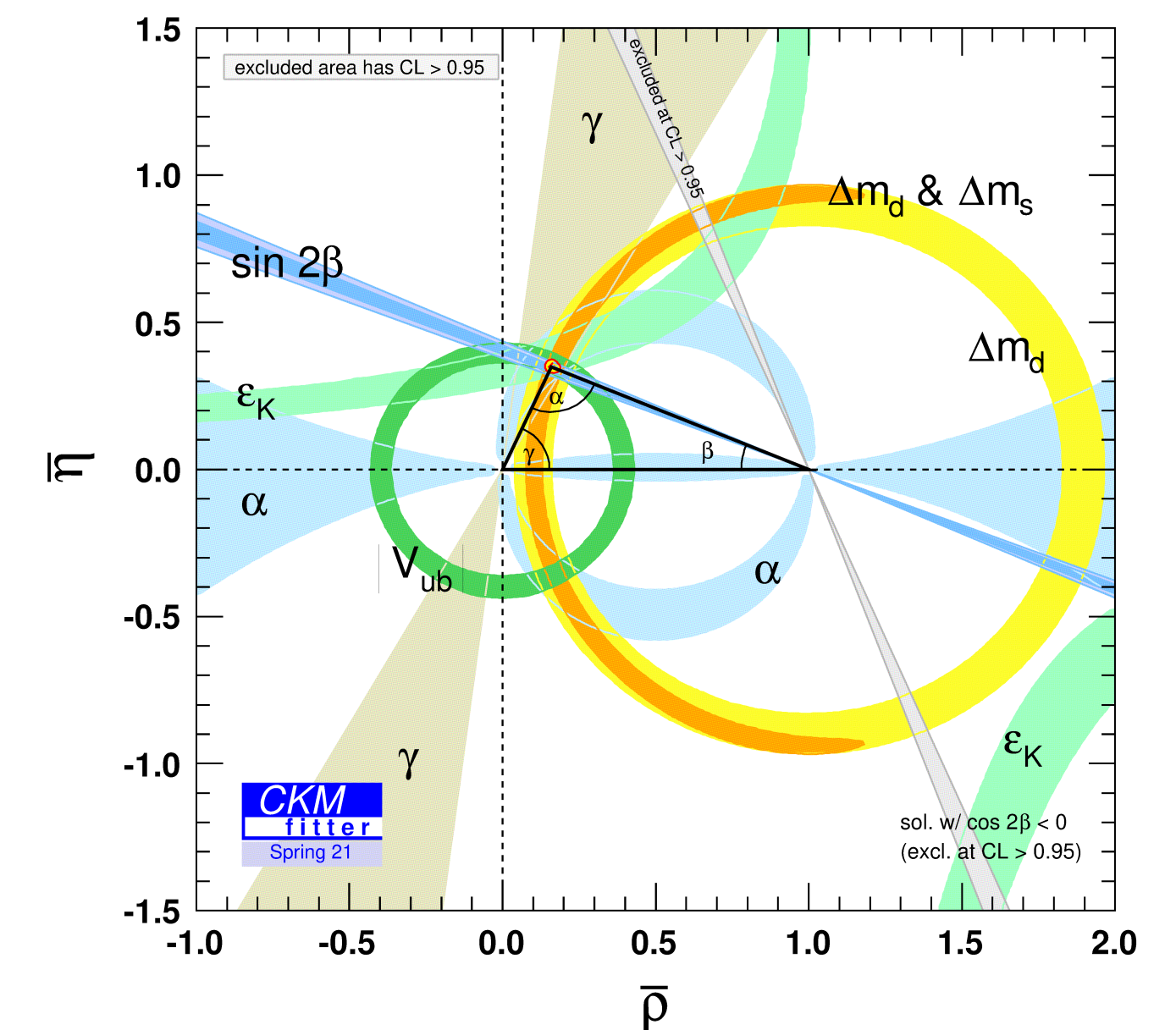
1. Leptons and quarks = gather the main ingredients

	1 <sup>st</sup>	2 <sup>nd</sup>	3 <sup>rd</sup>
Quarks	$u$ up	$c$ charm	$t$ top
	$d$ down	$s$ strange	$b$ beauty
Leptons	$e$ electron	$\mu$ muon	$\tau$ tau
	$\nu_e$ neutrino electron	$\nu_\mu$ neutrino muon	$\nu_\tau$ neutrino tau

2. Make measurements of the flavour observables = bake cake parts



3. CKM Matrix = assemble all the parts together

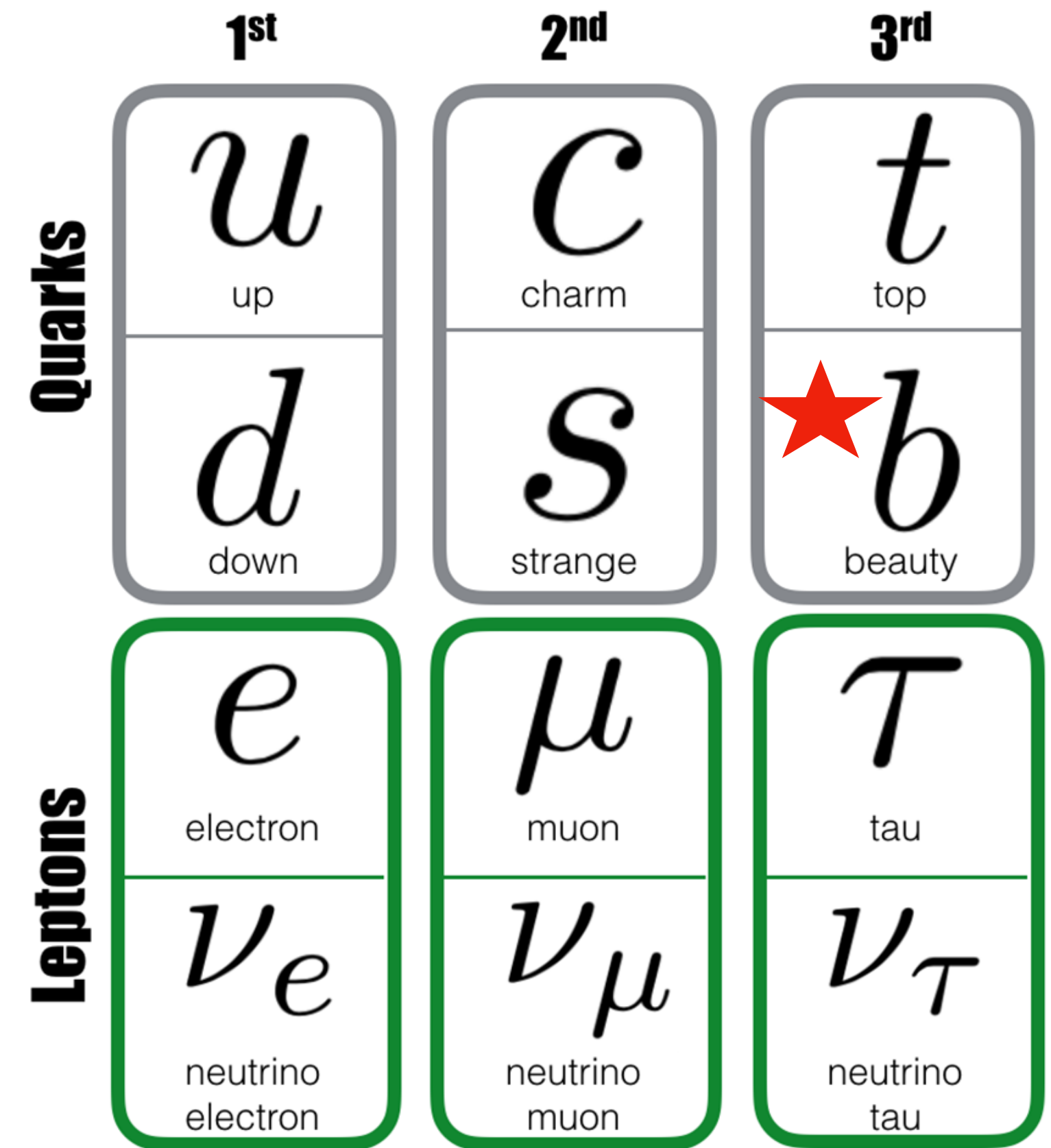


# B-physics

Why *B*-hadrons decays in particular?

- Light enough to be produced abundantly but heavy enough to have many decays
- Predictions for SM observables are well-known

One of the main missions of *B*-factories is to perform searches for new physics (*NP*) in rare decays



*Rare decay*: branching fraction  $\mathcal{B}(B \rightarrow \text{decay products}) < 1 \times 10^{-5}$

→ only less than 1 in 100000 *B*-hadron decays in this way

# B-physics

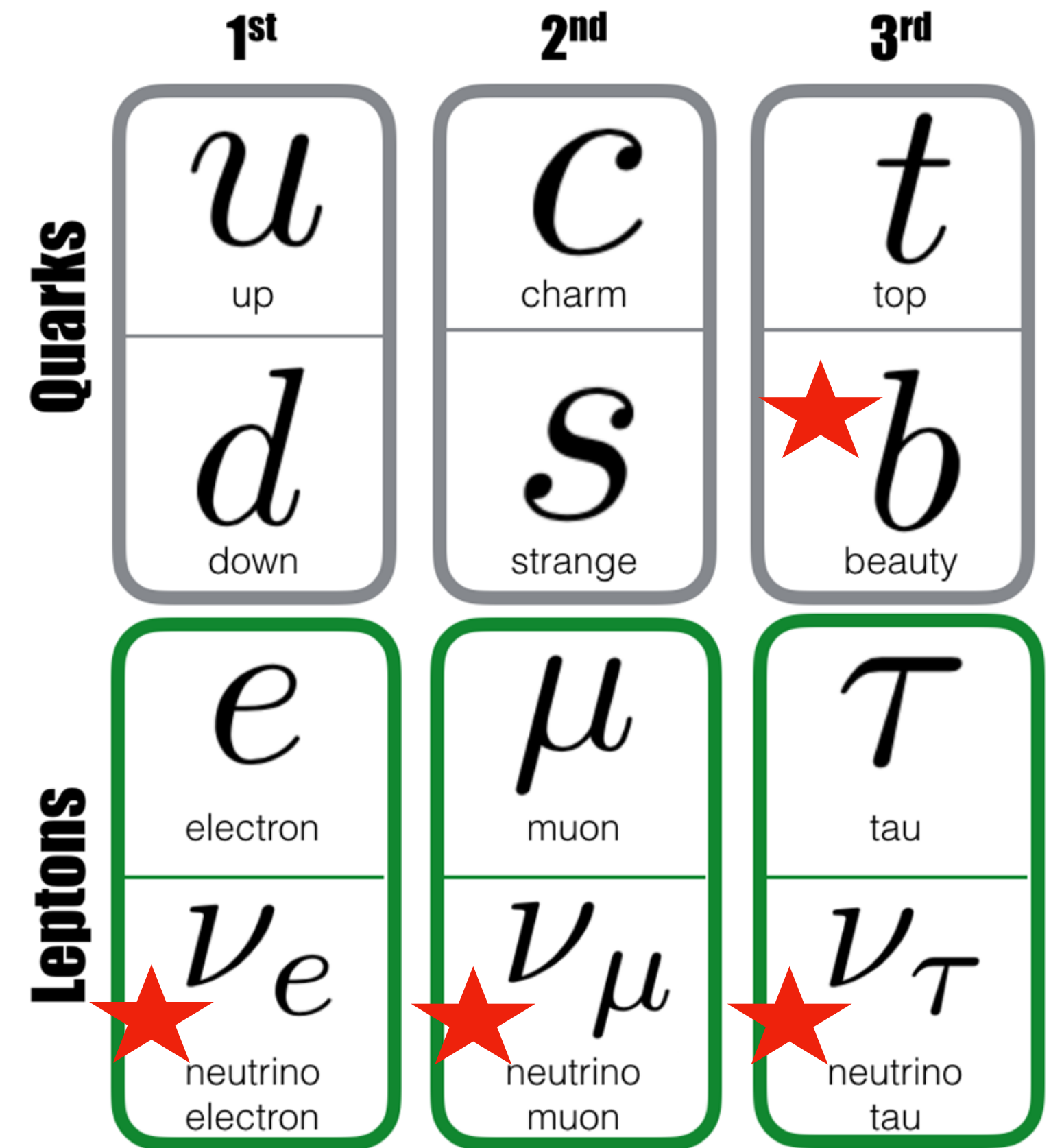
Why  $B$ -hadrons decays in particular?

- Light enough to be produced abundantly but heavy enough to have many decays
- Predictions for SM observables are well-known

One of the main missions of  $B$ -factories is to perform searches for new physics ( $NP$ ) in rare decays, which cannot be fully reconstructed  $\rightarrow$  have missing energy



*Rare decay:* branching fraction  $\mathcal{B}(B \rightarrow \text{decay products}) < 1 \times 10^{-5}$   
 $\rightarrow$  only less than 1 in 100000  $B$ -hadron decays in this way



# Today's Roadmap

Belle II and SuperKEKB

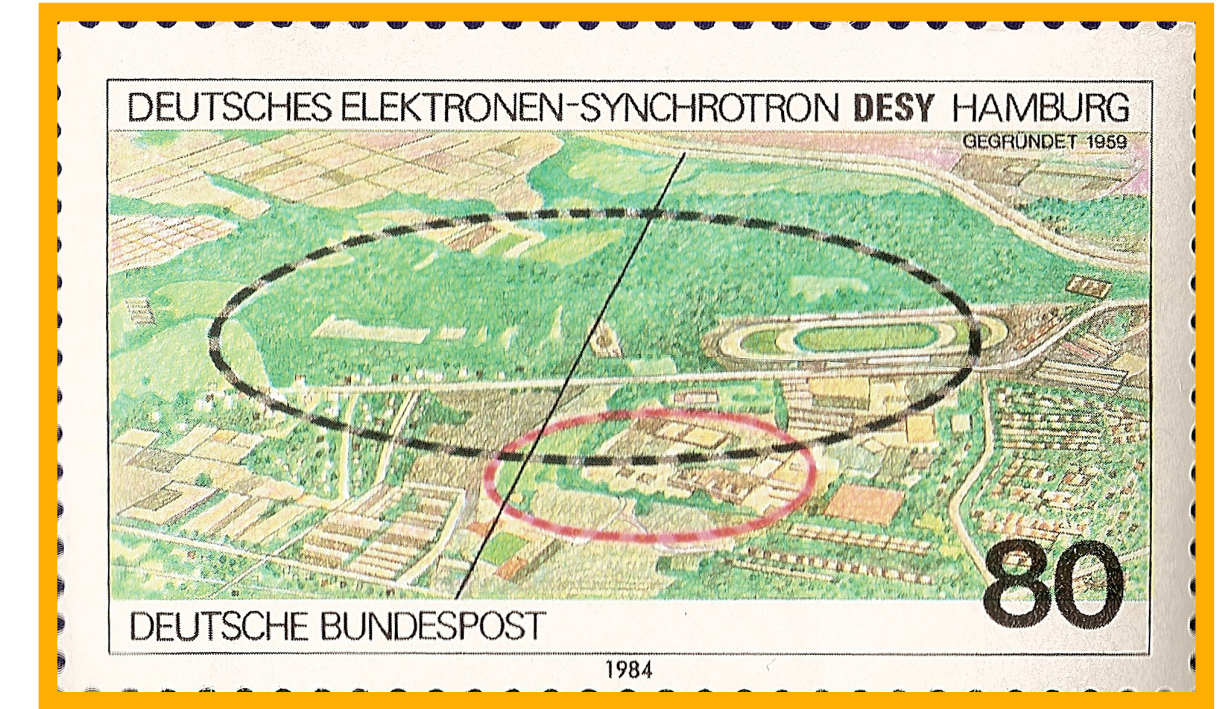


New Belle II Measurement



Outlook

$\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu})$  in  
SM and experiment



# Belle II Collaboration

~1200 physicists and engineers from 122 institutions in 28 countries/regions



46<sup>th</sup> Belle II General Meeting, October 2023, Tsukuba, Japan



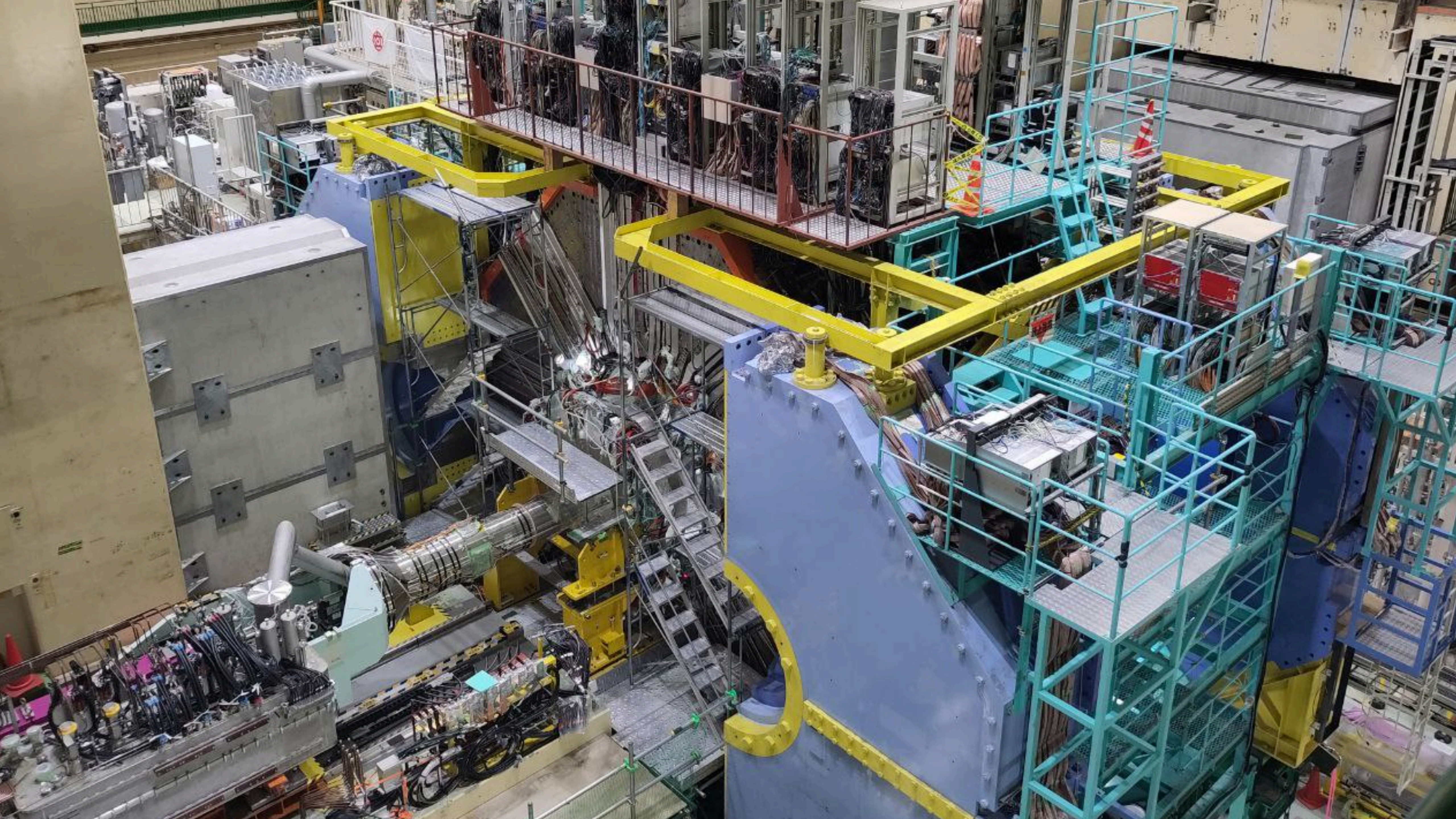
# Belle II Collaboration

~1200 physicists and engineers from 122 institutions in 28 countries/regions



including  
KIT  
members

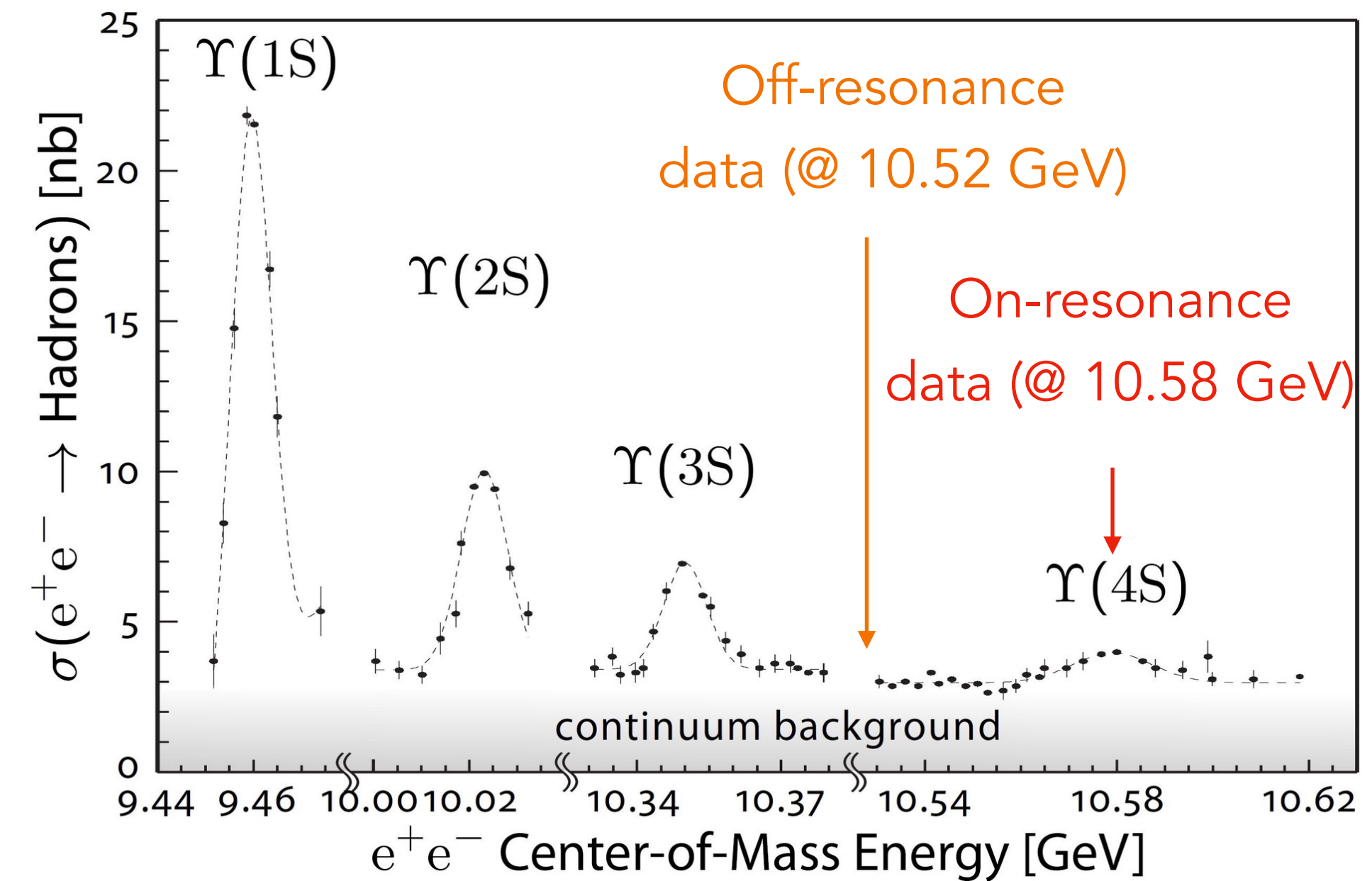
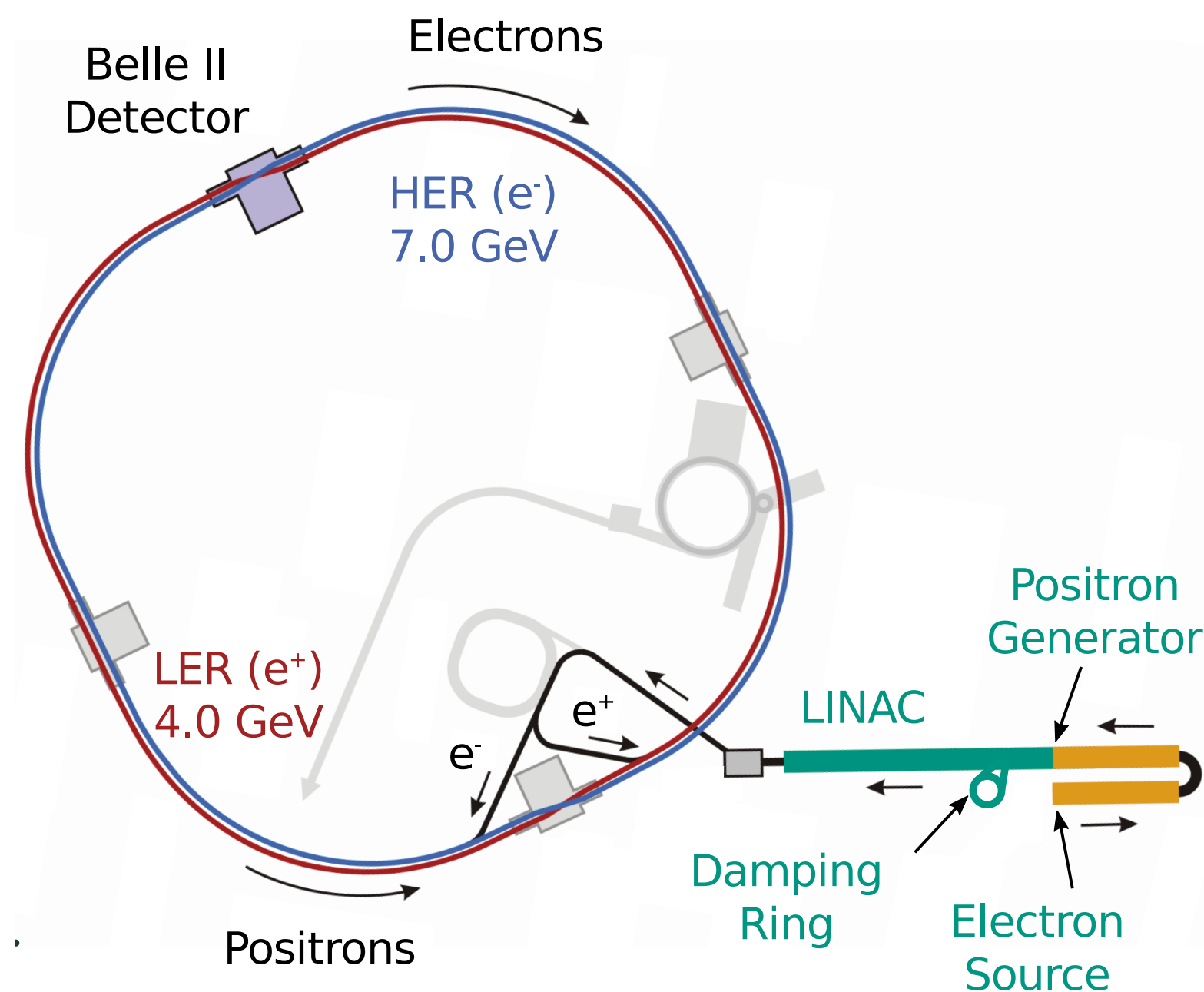
46<sup>th</sup> Belle II General Meeting, October 2023, Tsukuba, Japan



# SuperKEKB

SuperKEKB operates nominally at  $\sqrt{s} = 10.58$  GeV:

- $\Upsilon(4S) \rightarrow B\bar{B}$  in 96 %
- collected  $362 \text{ fb}^{-1} \sim 390$  mil.  $B$ -meson pairs
- record-breaking  $\mathcal{L}_{inst} = 4.7 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
- currently in long shutdown



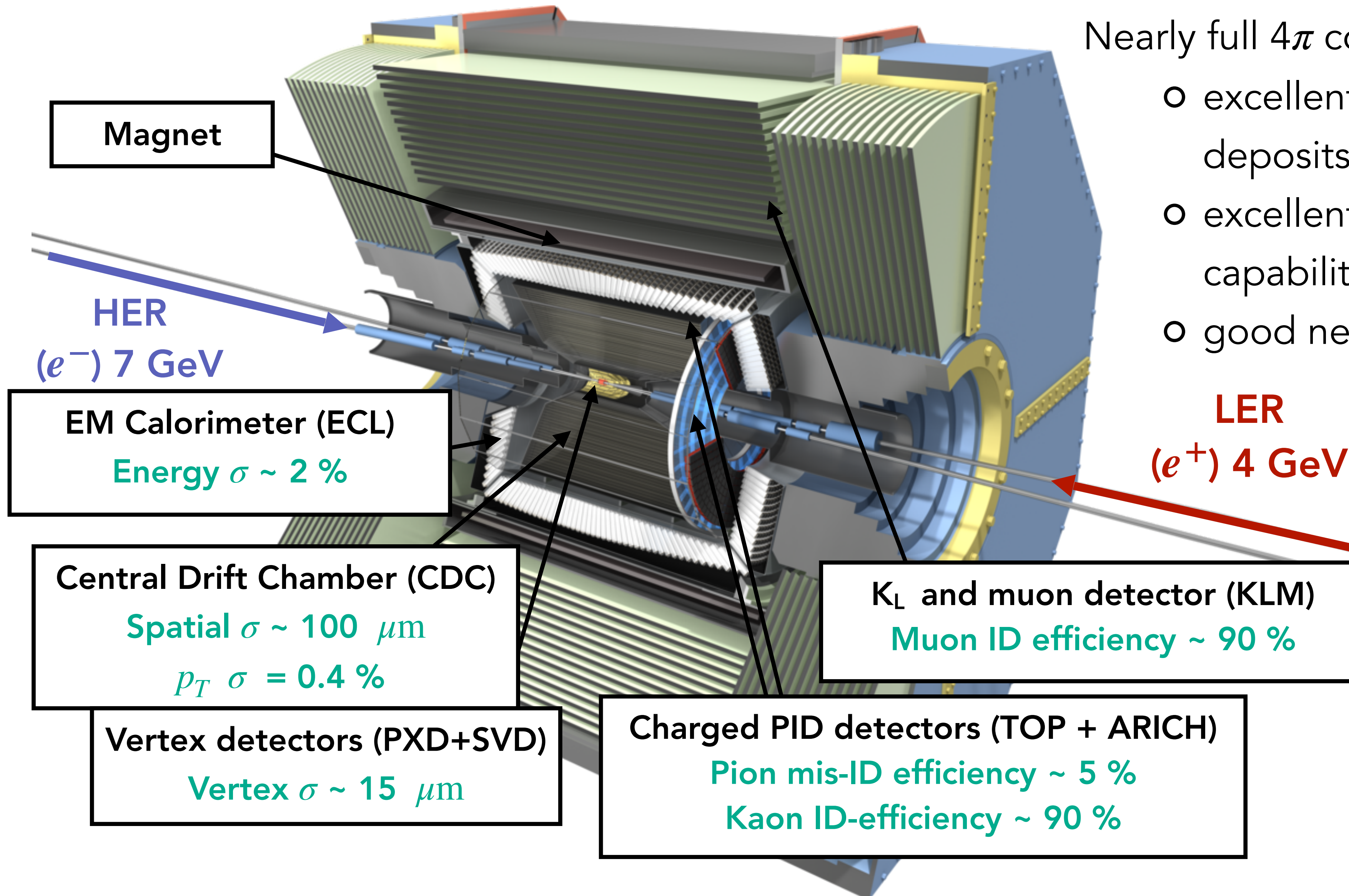
Final goal is to:

- run @  $\sim 10 \times$  higher  $\mathcal{L}_{inst}$  than current record
- collect  $\mathcal{L}_{int} = 50 \text{ ab}^{-1}$

# Belle II Detector

Nearly full  $4\pi$  coverage detector with:

- excellent sensitivity to low energy deposits
- excellent particle identification capabilities (PID)
- good neutral reconstruction

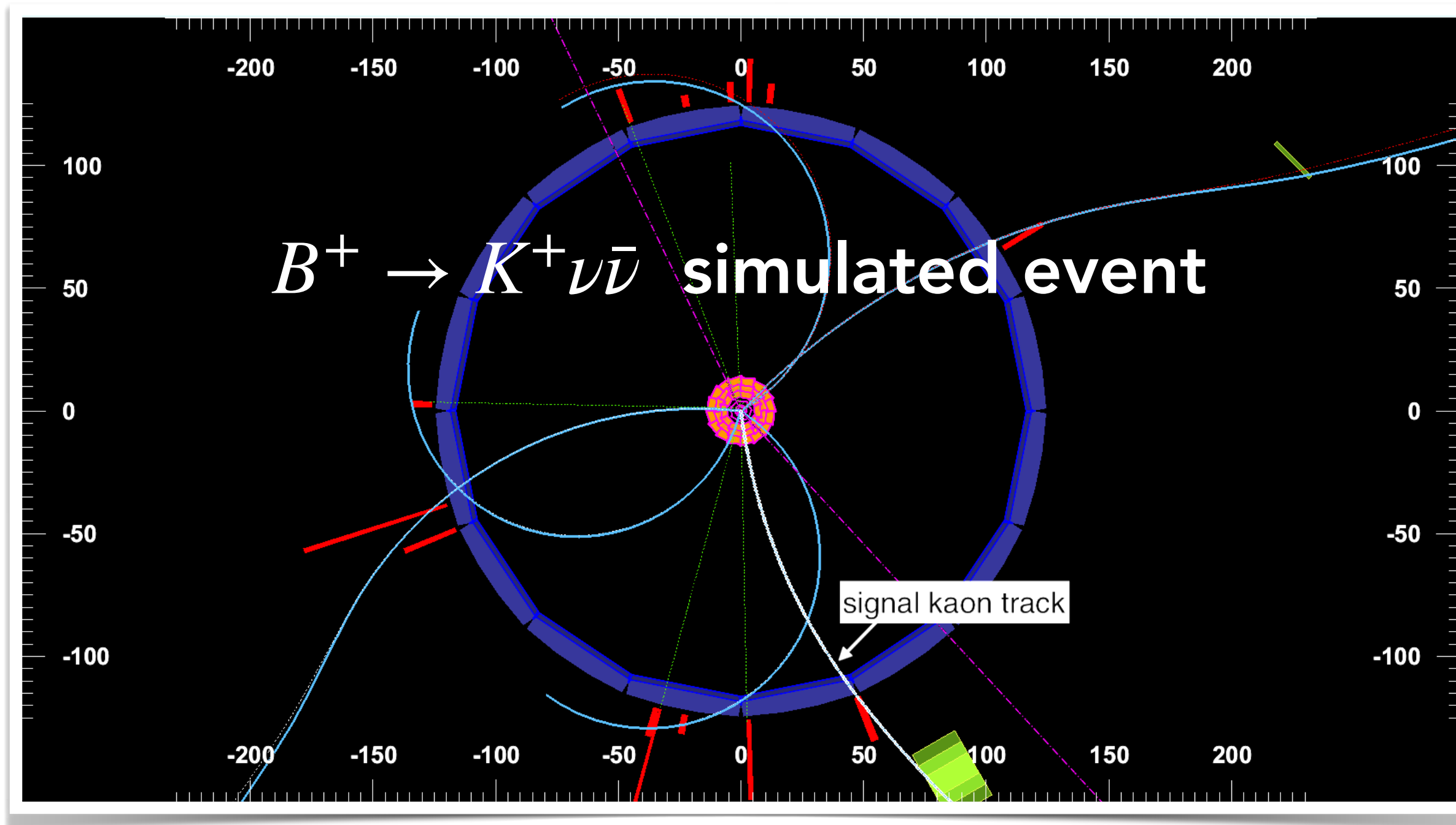


# $B^+ \rightarrow K^+ \nu \bar{\nu}$ Event in Belle II

Belle II is best-suited to measure  $B$ -decays with significant missing energy

Typical  $B^+ \rightarrow K^+ \nu \bar{\nu}$  event benefits from:

- cleaner environment compared to LHCb
- constraints from well-known initial state kinematics



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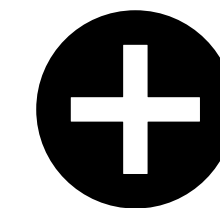
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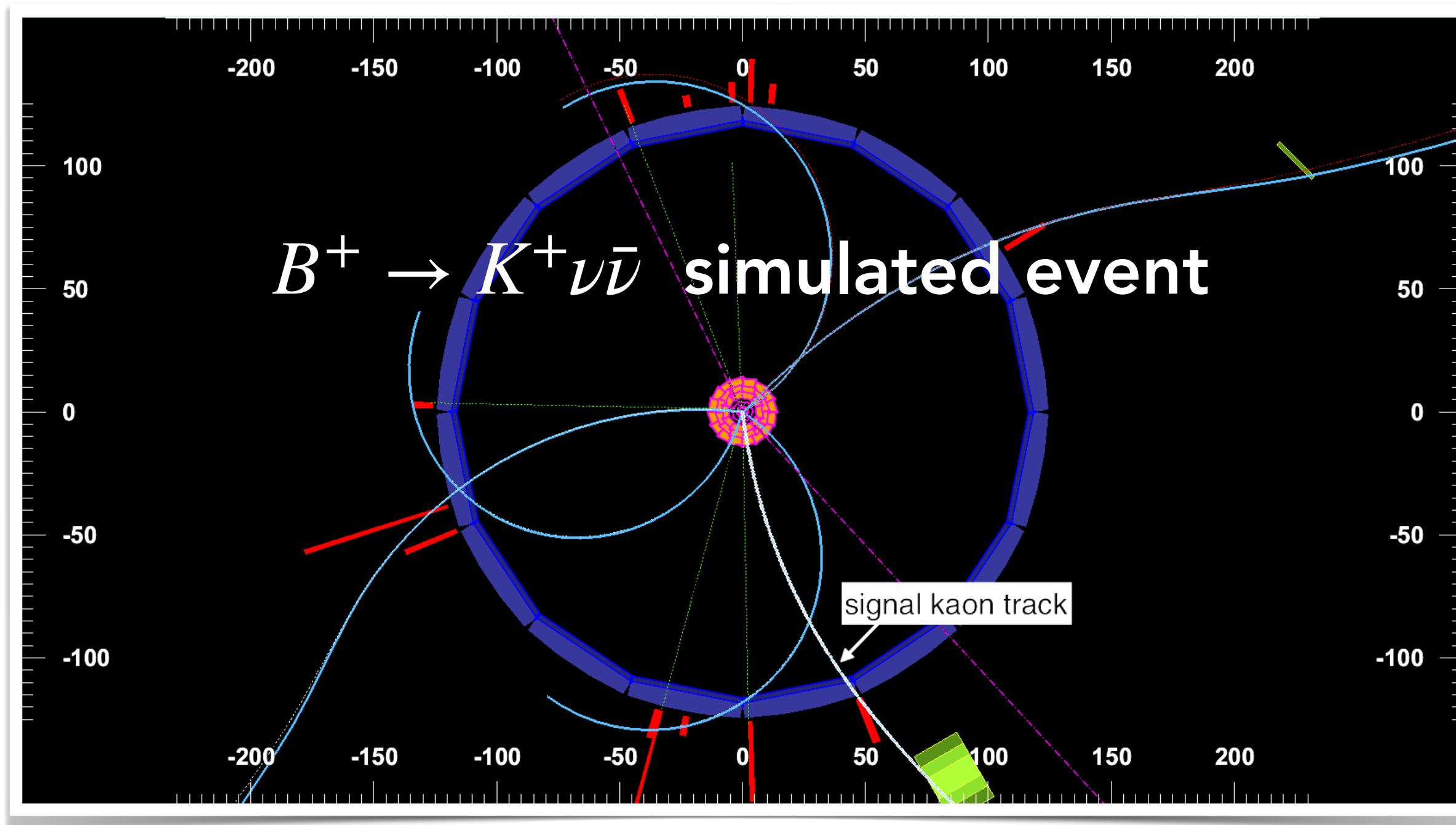
Challenges of rare  $B$ -decays:

- high reconstruction efficiency for visible particles
- excellent MC modelling



Challenges of channels with neutrinos:

- excellent understanding of other neutrals ( $\pi^0, K_L^0, K_S^0, n, \gamma, \dots$ )



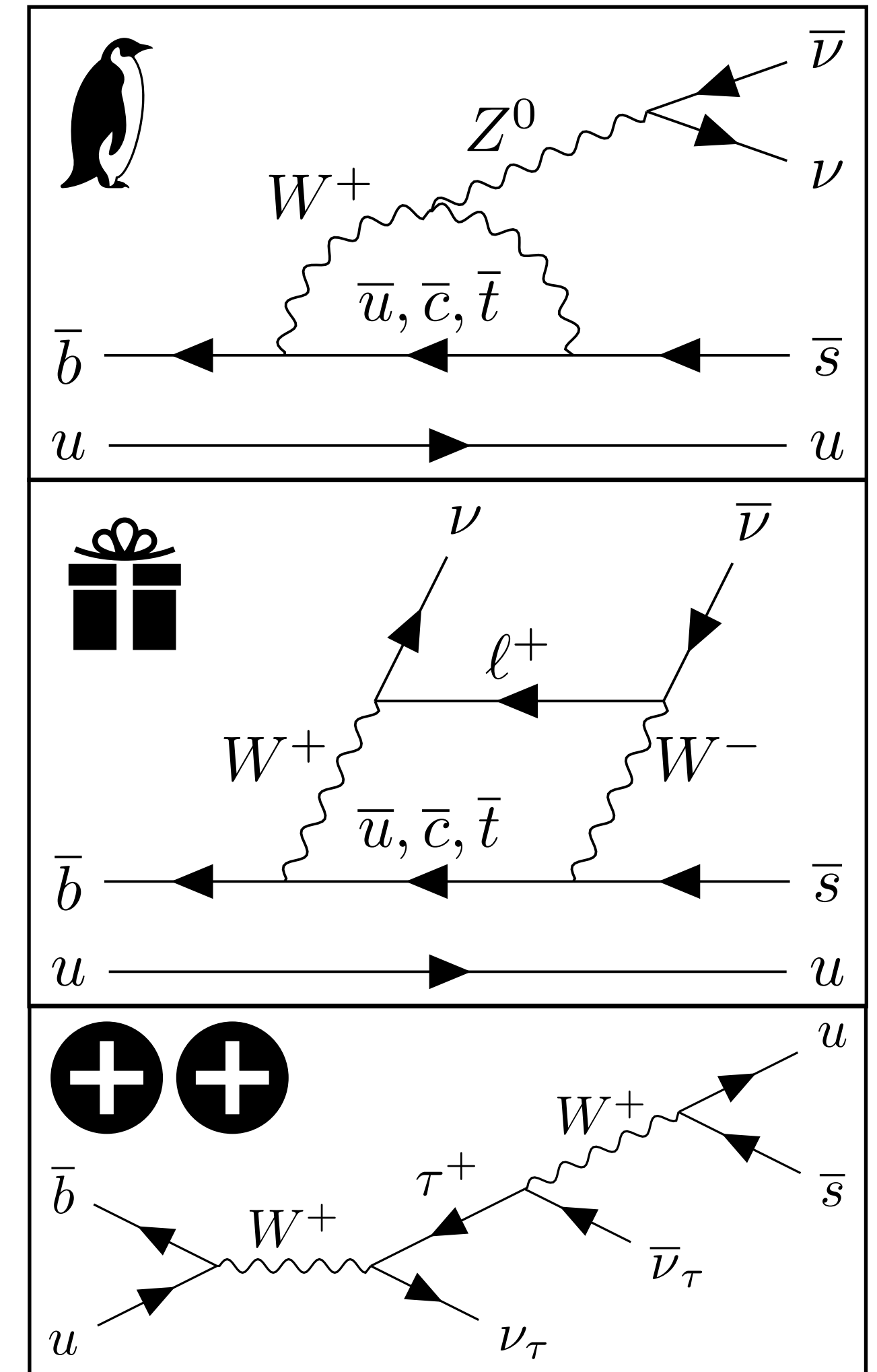
# $B^+ \rightarrow K^+ \nu \bar{\nu}$ Decays: SM

$B^+ \rightarrow K^+ \nu \bar{\nu}$  decays in SM:

- flavour-changing neutral current ( $b \rightarrow s$ ) transitions
- precise SM prediction:  $\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu}) = (5.58 \pm 0.37) \times 10^{-6}$

[PRD 107, 1324 014511 (2023), PRD 107, 119903 (2023)]

$B^+ \rightarrow K^+ \nu \bar{\nu}$  observables are sensitive to many NP scenarios

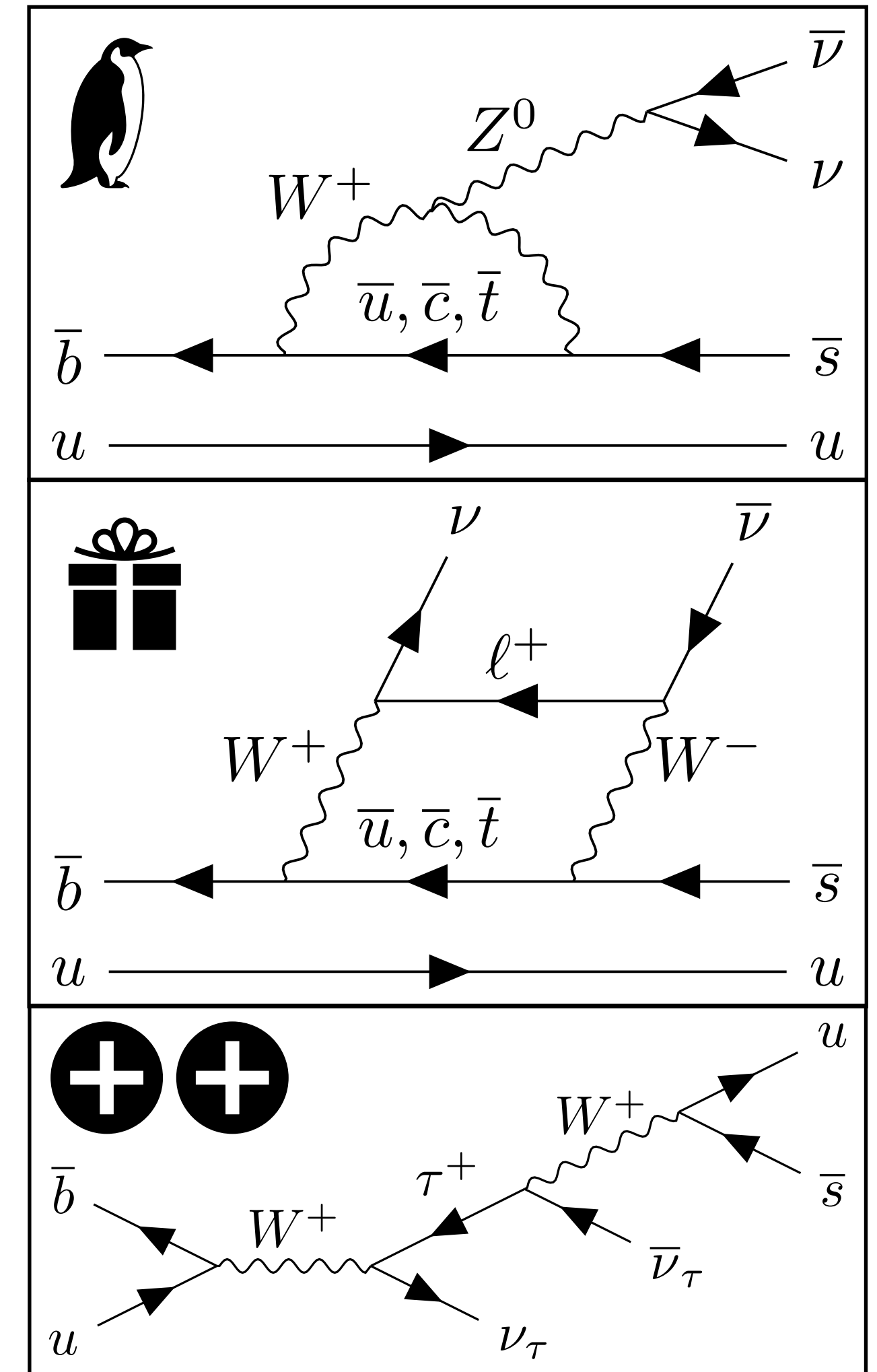


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[[PRD 107, 1324 014511 \(2023\)](#), [PRD 107, 119903 \(2023\)](#)]

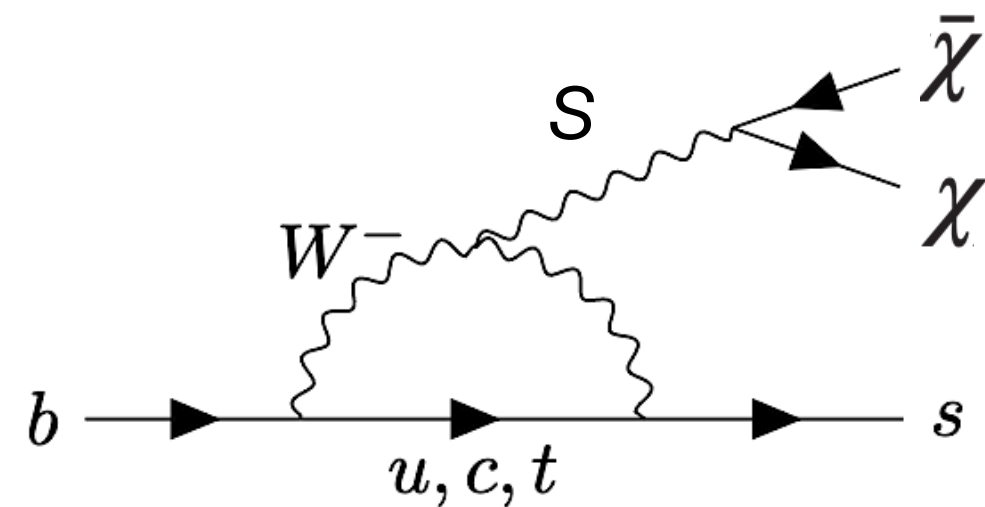




# $B^+ \rightarrow K^+ \nu \bar{\nu}$ Sensitivity to NP

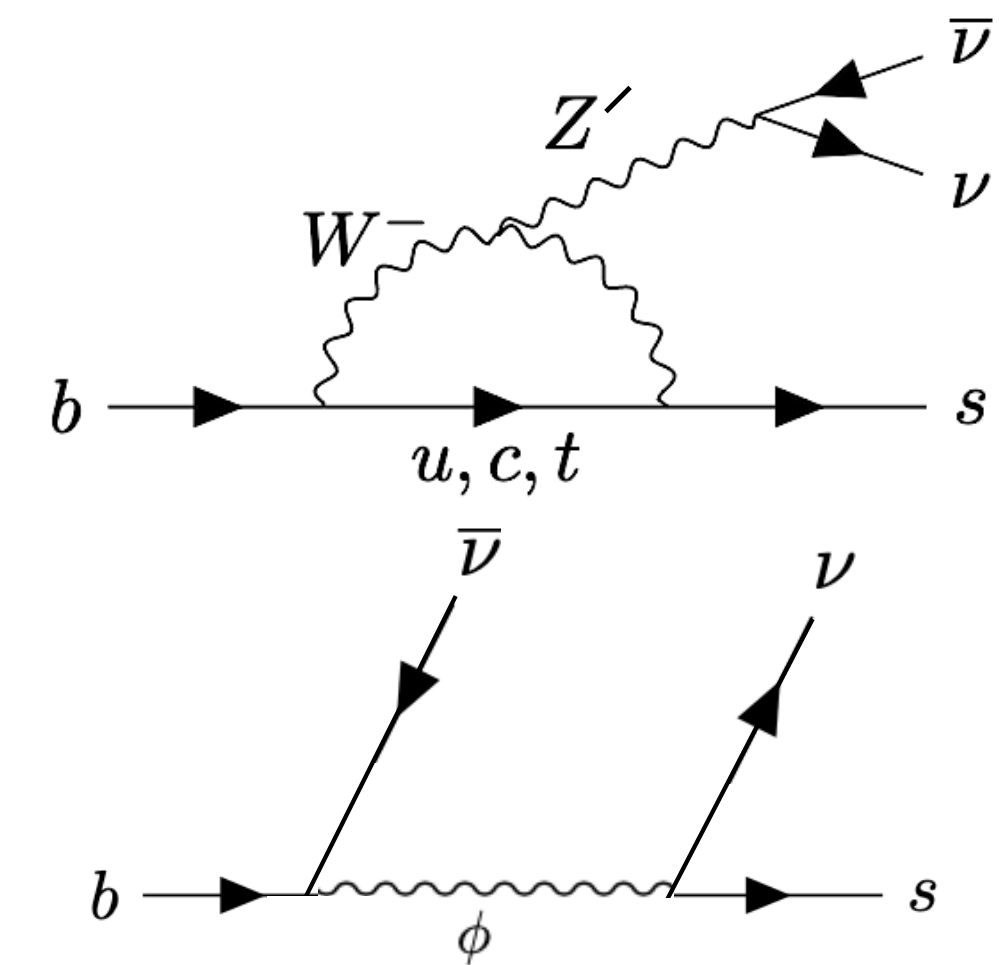
## Light NP scenarios

- Axions: [PRD 102, 015023 \(2020\)](#)
- Dark Scalars: [PRD 101, 095006 \(2020\)](#)
- Axion-like particles: [JHEP 04, 131 \(2023\)](#)



## Heavy NP scenarios

- $Z'$ : [PL B 821, 136607 \(2021\)](#)
- Leptoquarks: [PRD 98, 055003 \(2018\)](#)



Correlation to flavour anomalies

# $B^+ \rightarrow K^+ \nu \bar{\nu}$ Decays: SM and Experiment

## $B^+ \rightarrow K^+ \nu \bar{\nu}$ decays in SM:

- flavour-changing neutral current ( $b \rightarrow s$ ) transitions
- precise SM prediction:  $\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu}) = (5.58 \pm 0.37) \times 10^{-6}$

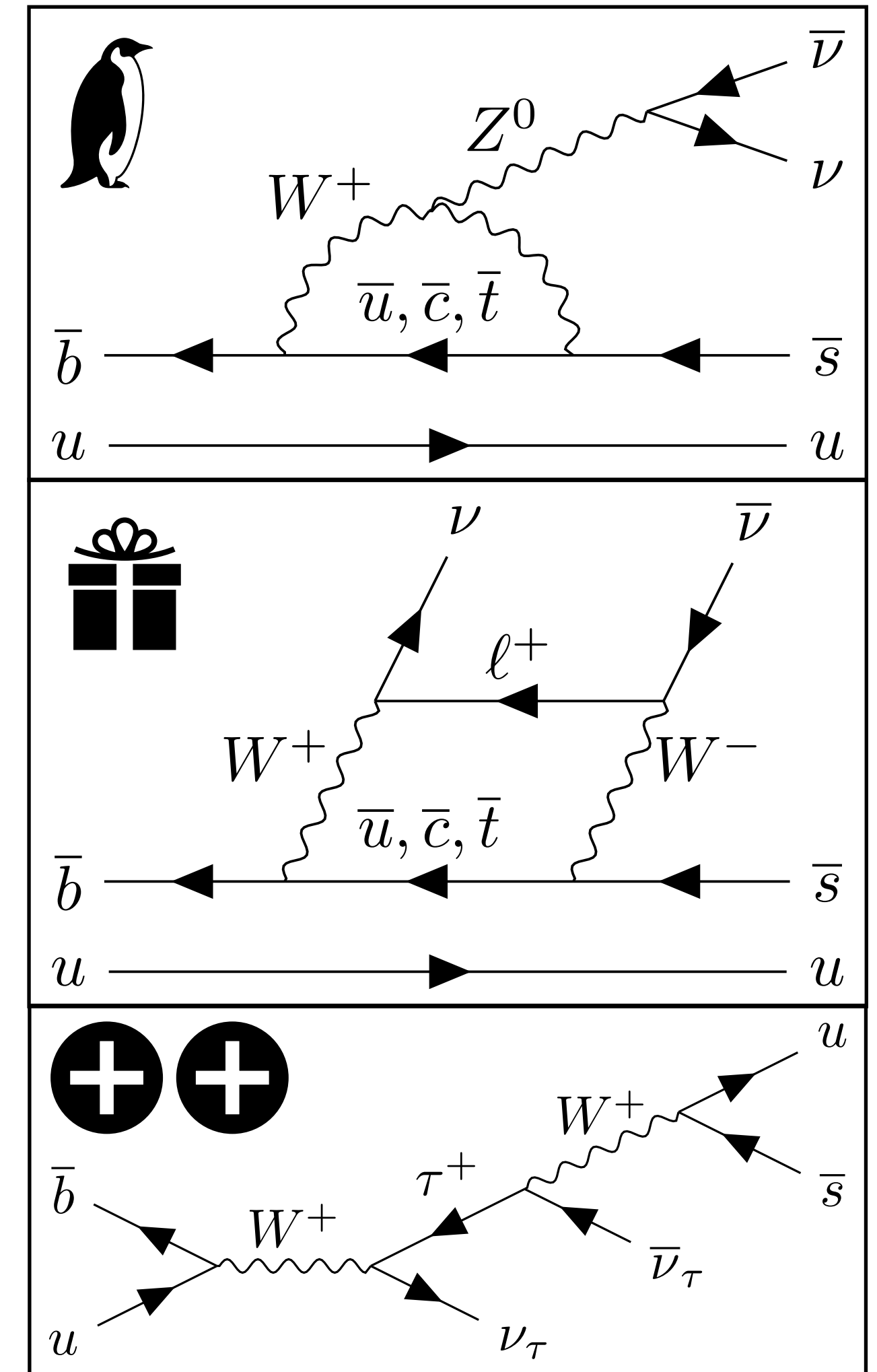
[PRD 107, 1324 014511 (2023), PRD 107, 119903 (2023)]

## $B^+ \rightarrow K^+ \nu \bar{\nu}$ observables are sensitive to many BSM scenarios



## $B^+ \rightarrow K^+ \nu \bar{\nu}$ decays in experiment:

- Belle II searched for this decay with first 63 fb<sup>-1</sup> using **inclusive tagging method** [PRL 127, 181802 (2021)]
- current limits order of magnitude above SM expectation

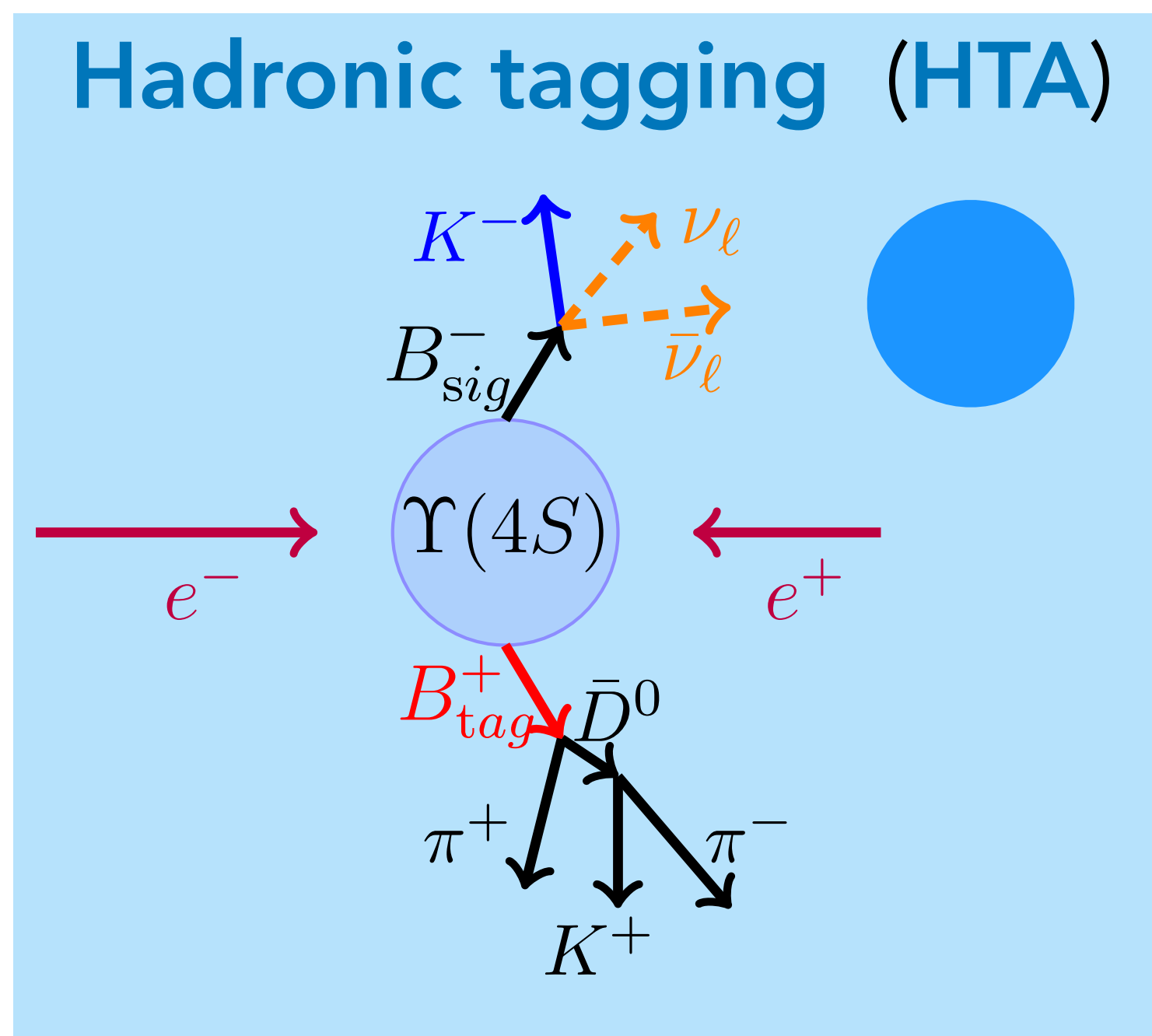
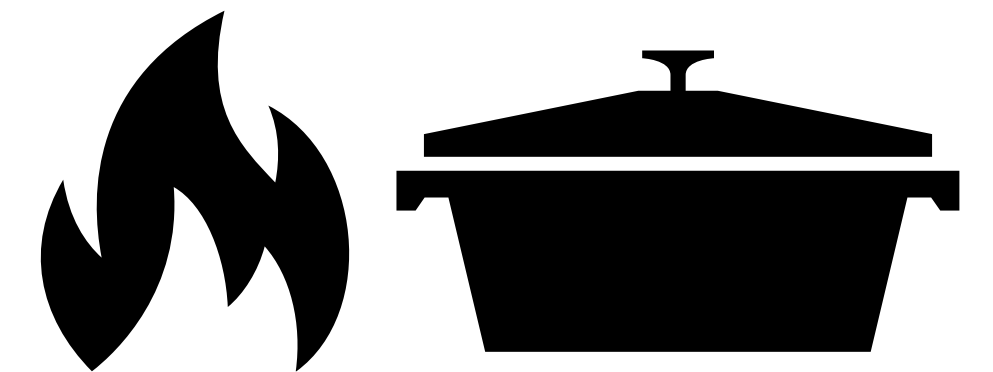


# This Colloquium

arxiv: 2311.14647

Latest Belle II measurement [[arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)]:

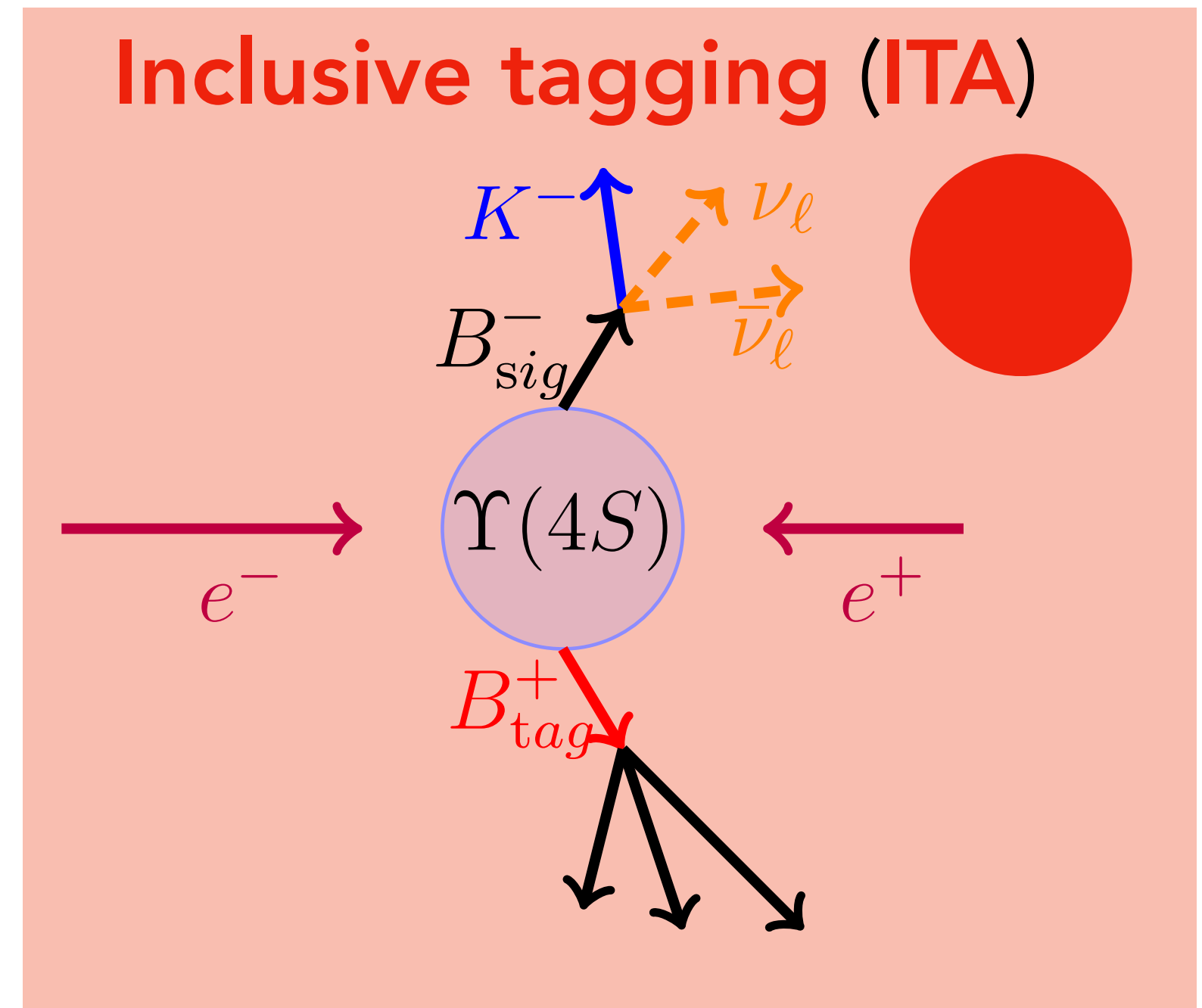
- with full Belle II 362 fb<sup>-1</sup> dataset
- with signal modelling based on [PRD 107, 119903 \(2023\)](https://arxiv.org/abs/2301.11990)
- with improved analysis (**inclusive tagging ITA**) + more conventional analysis (**hadronic tagging HTA**)



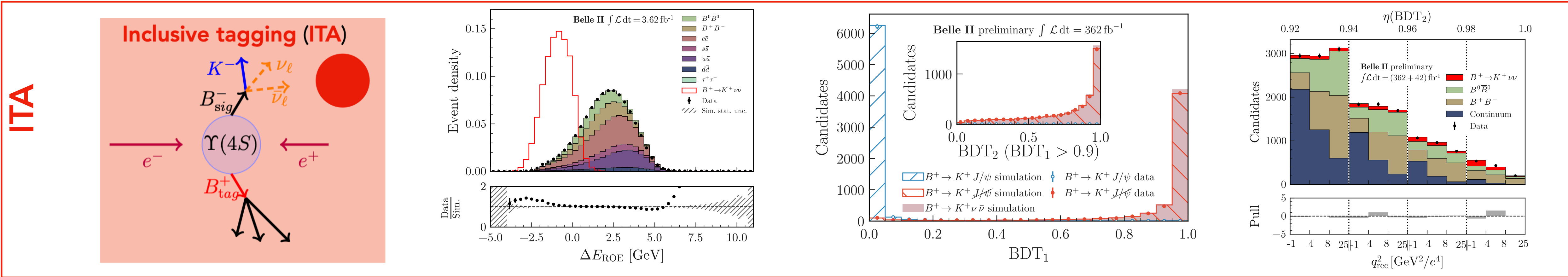
Efficiency



Purity, Resolution



# Strategy in a Nutshell

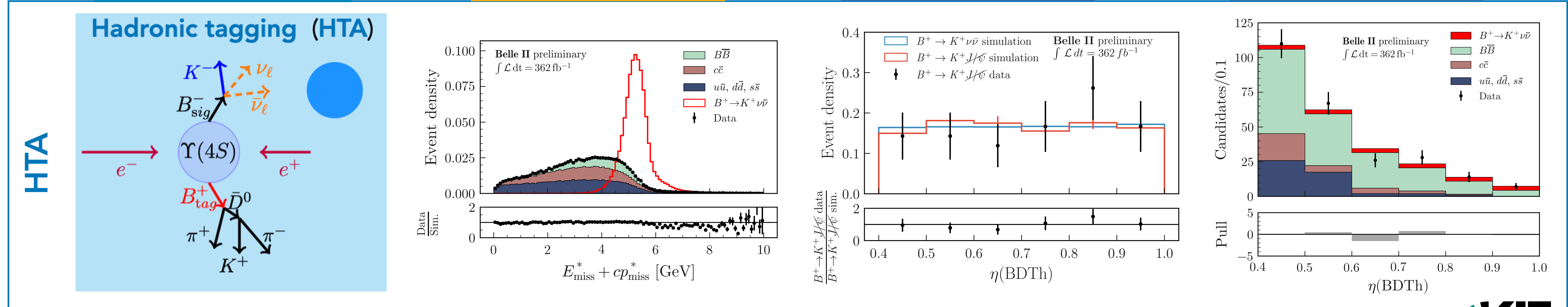


**Basic selection and reconstruction**

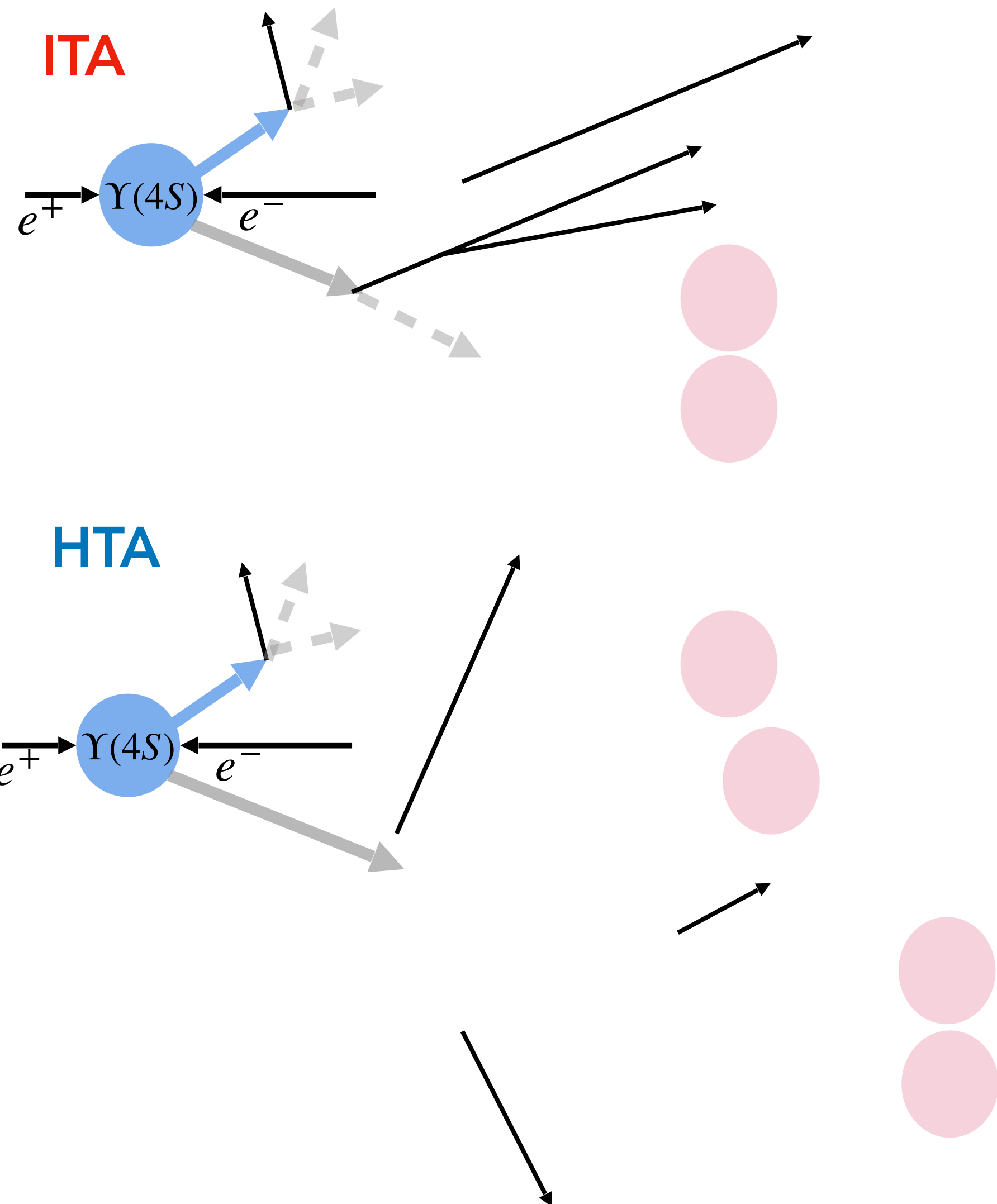
**Background suppression**

**Validation**

**Statistical interpretation**



# Reconstruction and Basic Selection



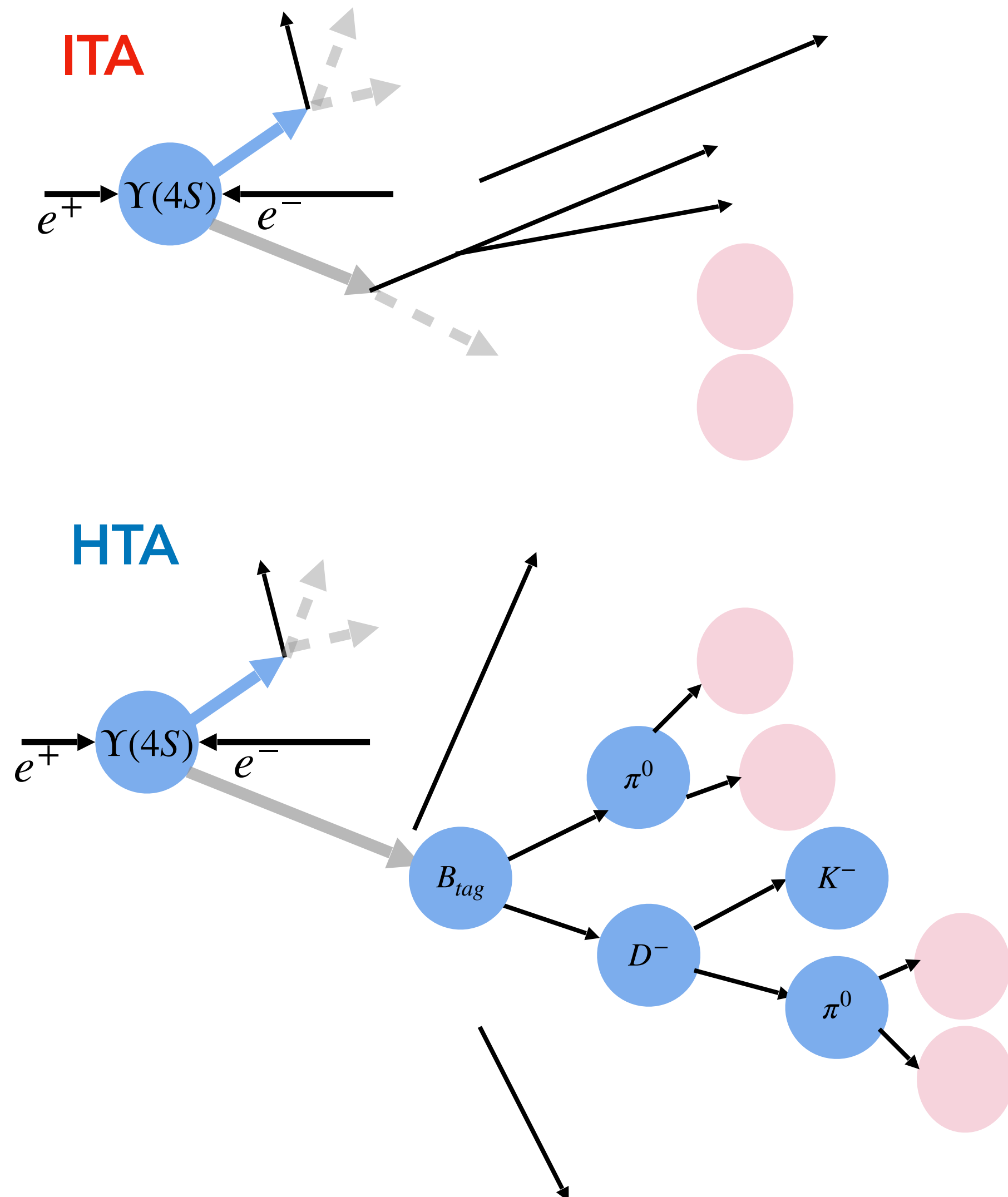
ITA

1. Perform basic reconstruction (tracks and clusters)
  - I. Charged track objects:  $p_T > 100 \text{ MeV}/c$
  - II. Neutral cluster objects :  $E > 100 \text{ MeV}$

HTA

1. Perform basic reconstruction (tracks and clusters)
  - I. Charged track objects:  $p_T > 100 \text{ MeV}/c$
  - II. Neutral cluster objects :  $E > 60 \text{ MeV}$

# Reconstruction and Basic Selection



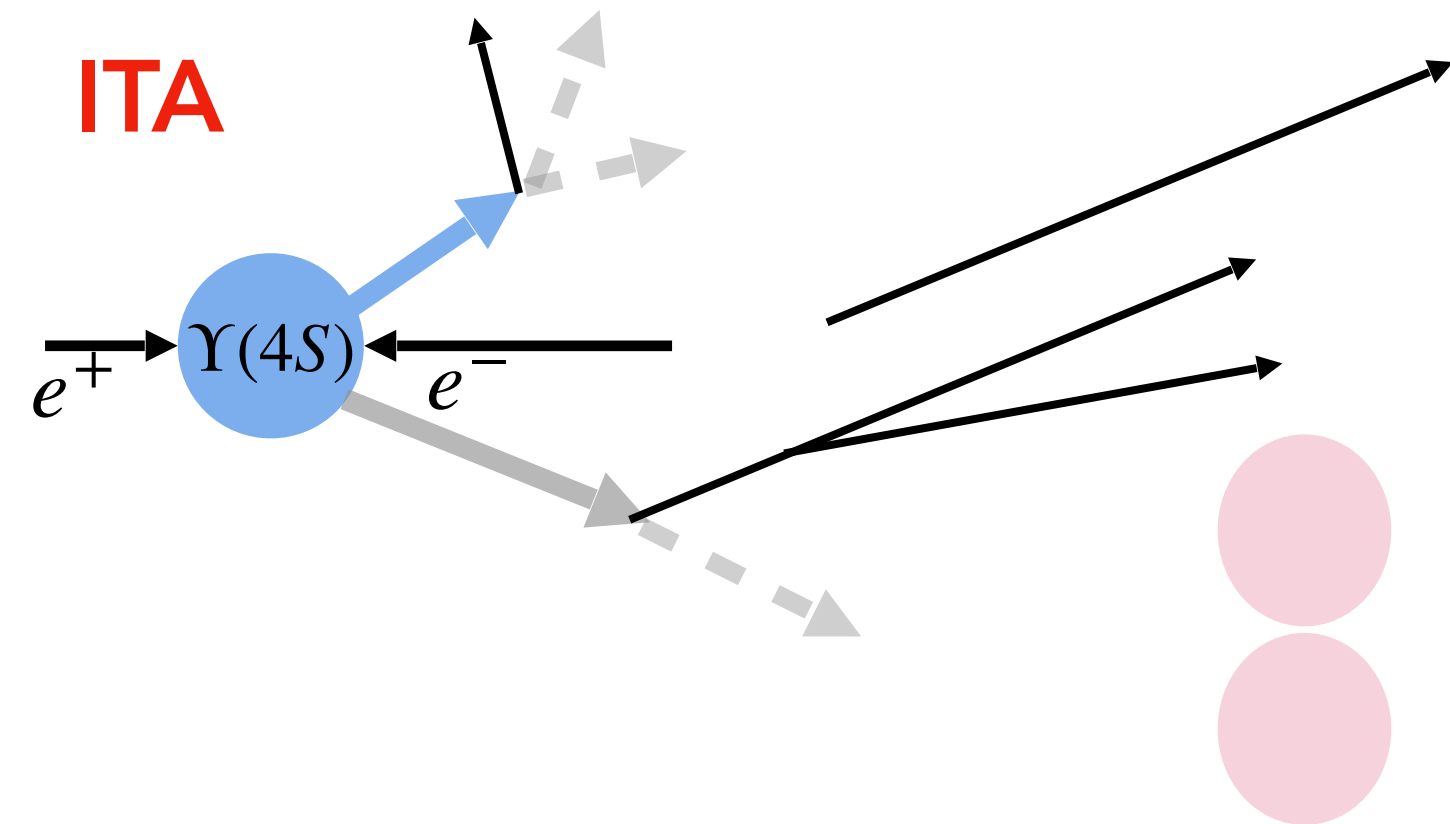
ITA

1. Perform basic reconstruction (tracks and clusters)

HTA

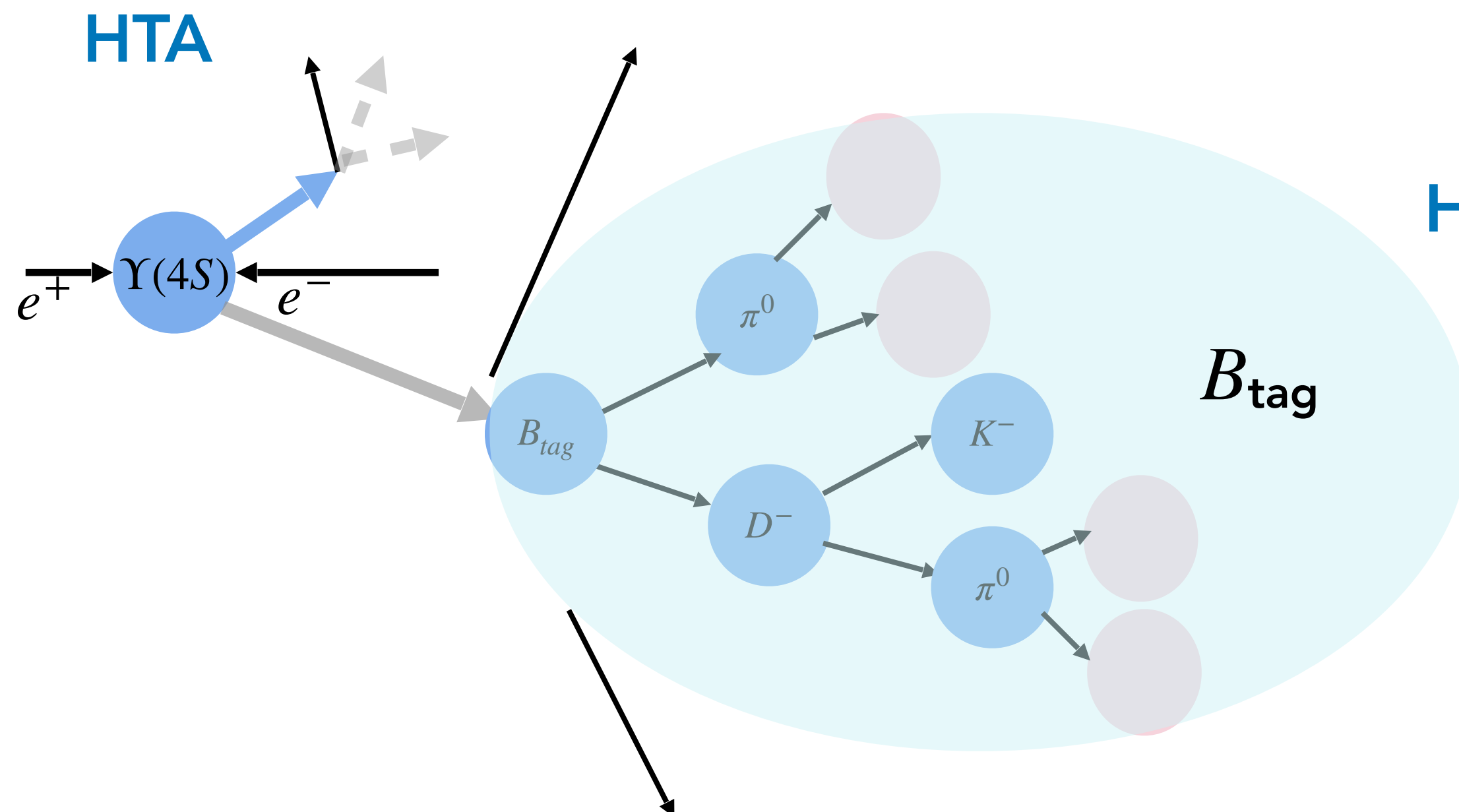
1. Perform basic reconstruction (tracks and clusters)
2. Reconstruct **hadronic tag**

# Reconstruction and Basic Selection



**ITA**

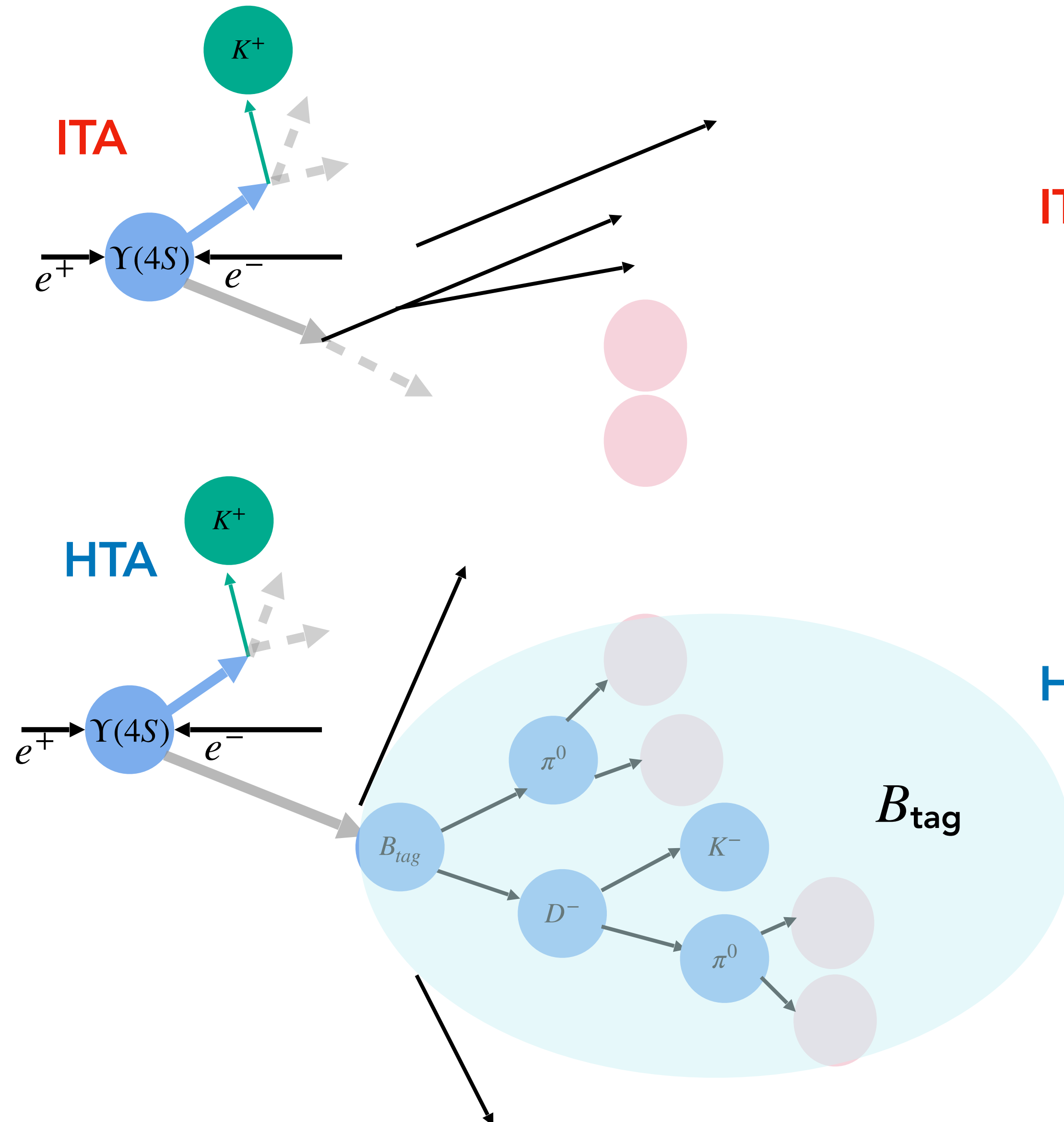
1. Perform basic reconstruction (tracks and clusters)



**HTA**

1. Perform basic reconstruction (tracks and clusters)
2. Reconstruct **hadronic tag**

# Reconstruction and Basic Selection



**ITA**

1. Perform basic reconstruction (tracks and clusters)
2. Reconstruct **signal kaon requiring kaonID**

**HTA**

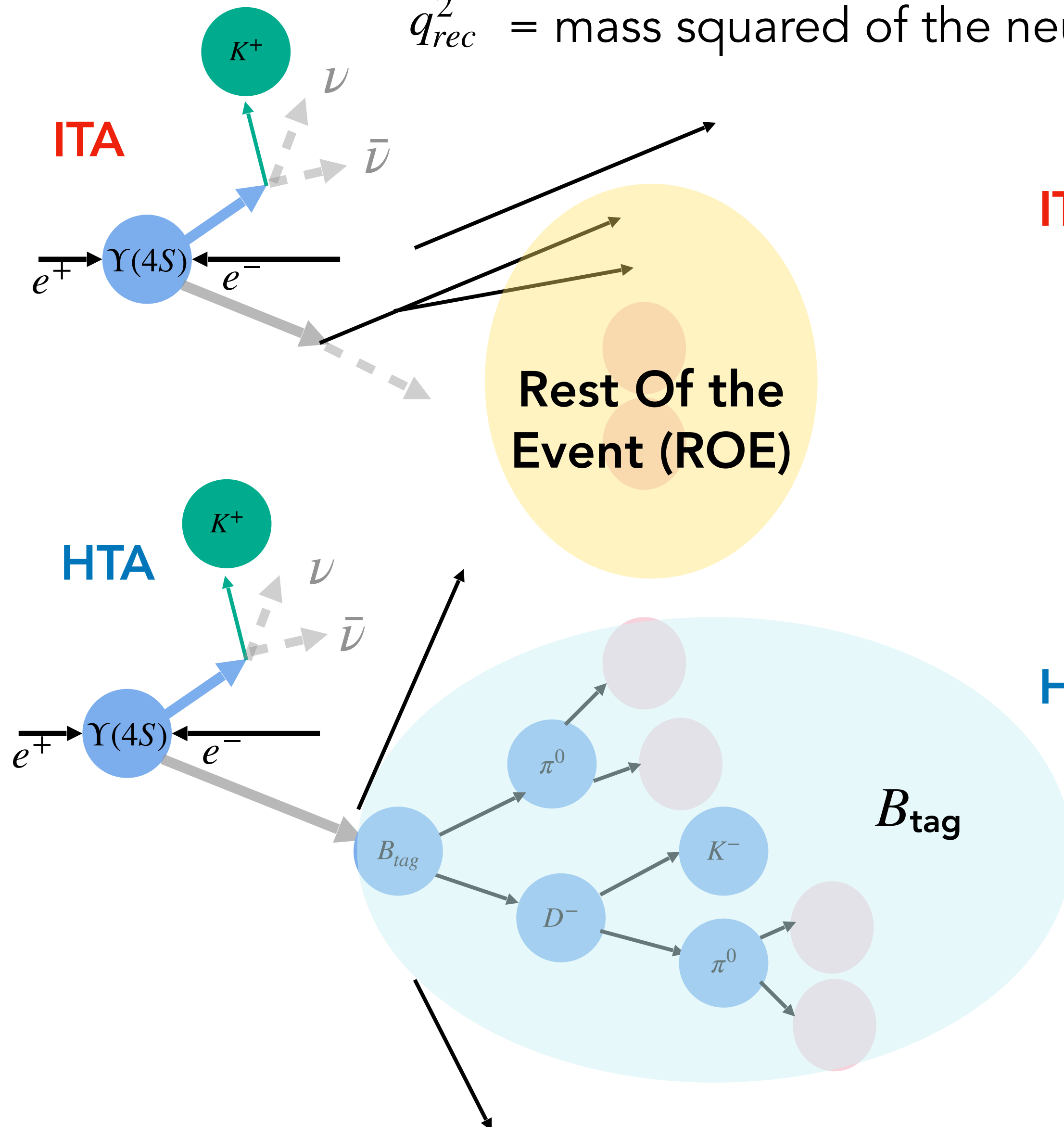
1. Perform basic reconstruction (tracks and clusters)
2. Reconstruct **hadronic tag**
3. Reconstruct **signal kaon requiring kaonID**





# Reconstruction and Basic Selection

$q_{rec}^2$  = mass squared of the neutrino pair



**ITA**

1. Perform basic reconstruction (tracks and clusters)
2. Reconstruct **signal kaon requiring kaonID**
3. Identify **rest-of-event object (ROE)**

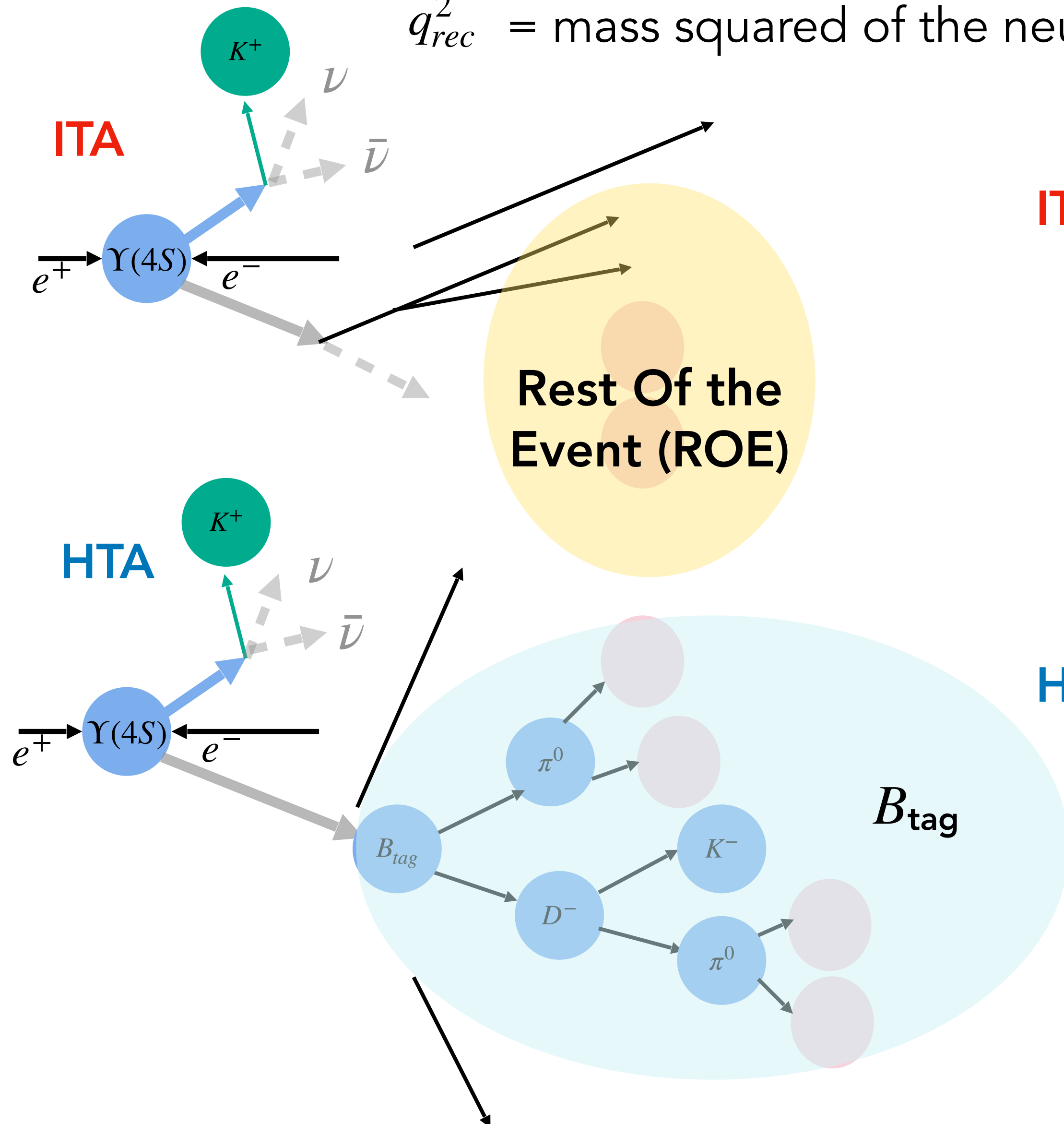
$$q_{rec}^2 = \frac{s}{4c^4} + M_K^2 - \frac{\sqrt{s}E_K^*}{c^4}$$

**HTA**

1. Perform basic reconstruction (tracks and clusters)
2. Reconstruct **hadronic tag**
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# Reconstruction and Basic Selection

$q_{rec}^2$  = mass squared of the neutrino pair



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$$q_{rec}^2 = \frac{s}{4c^4} + M_K^2 - \frac{\sqrt{s}E_K^*}{c^4}$$

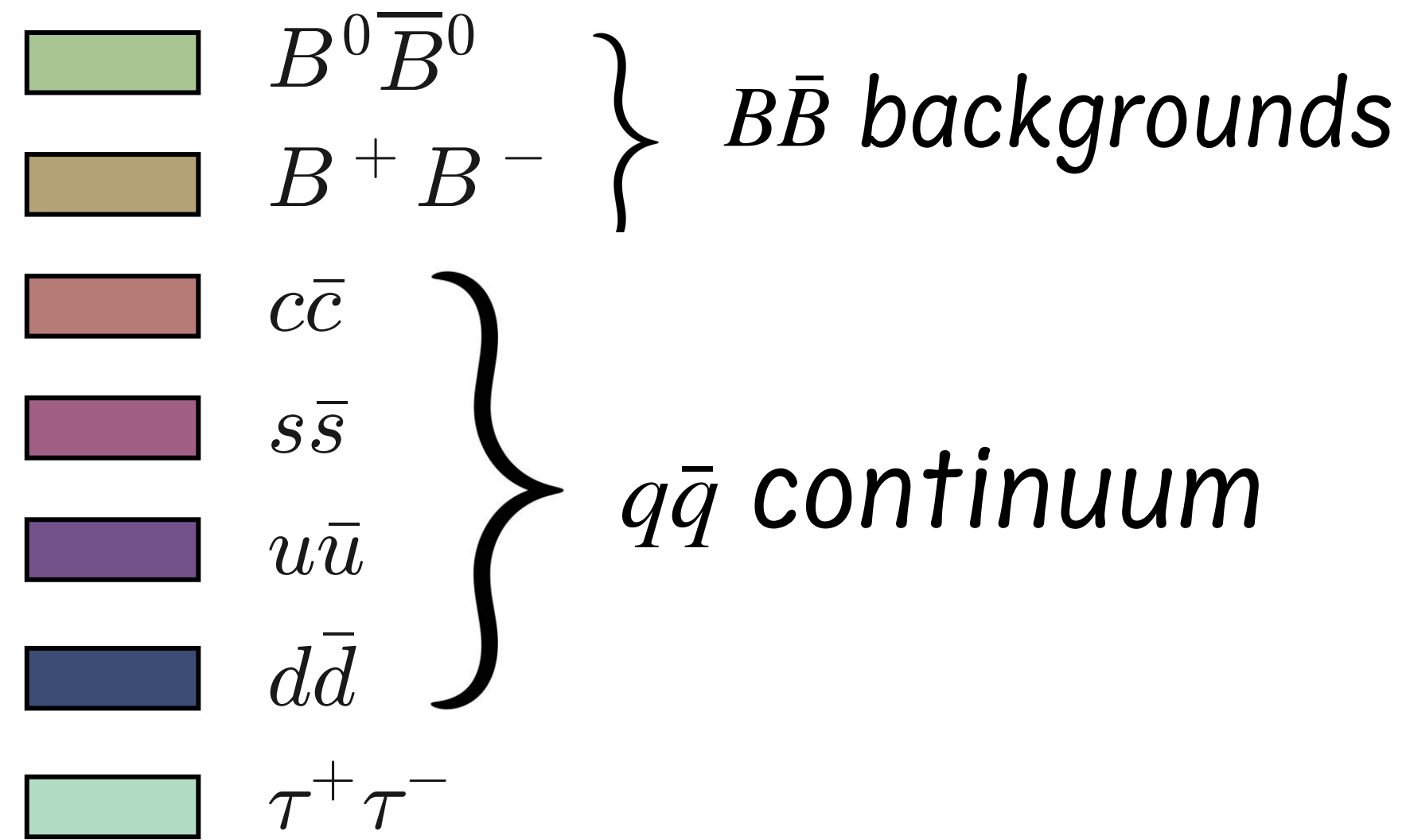
**HTA**

1. Perform basic reconstruction (tracks and clusters)
2. Reconstruct **hadronic tag**
3. Reconstruct **signal kaon requiring kaonID**

**Event cleaning: multiplicity  
direction of missing momentum**

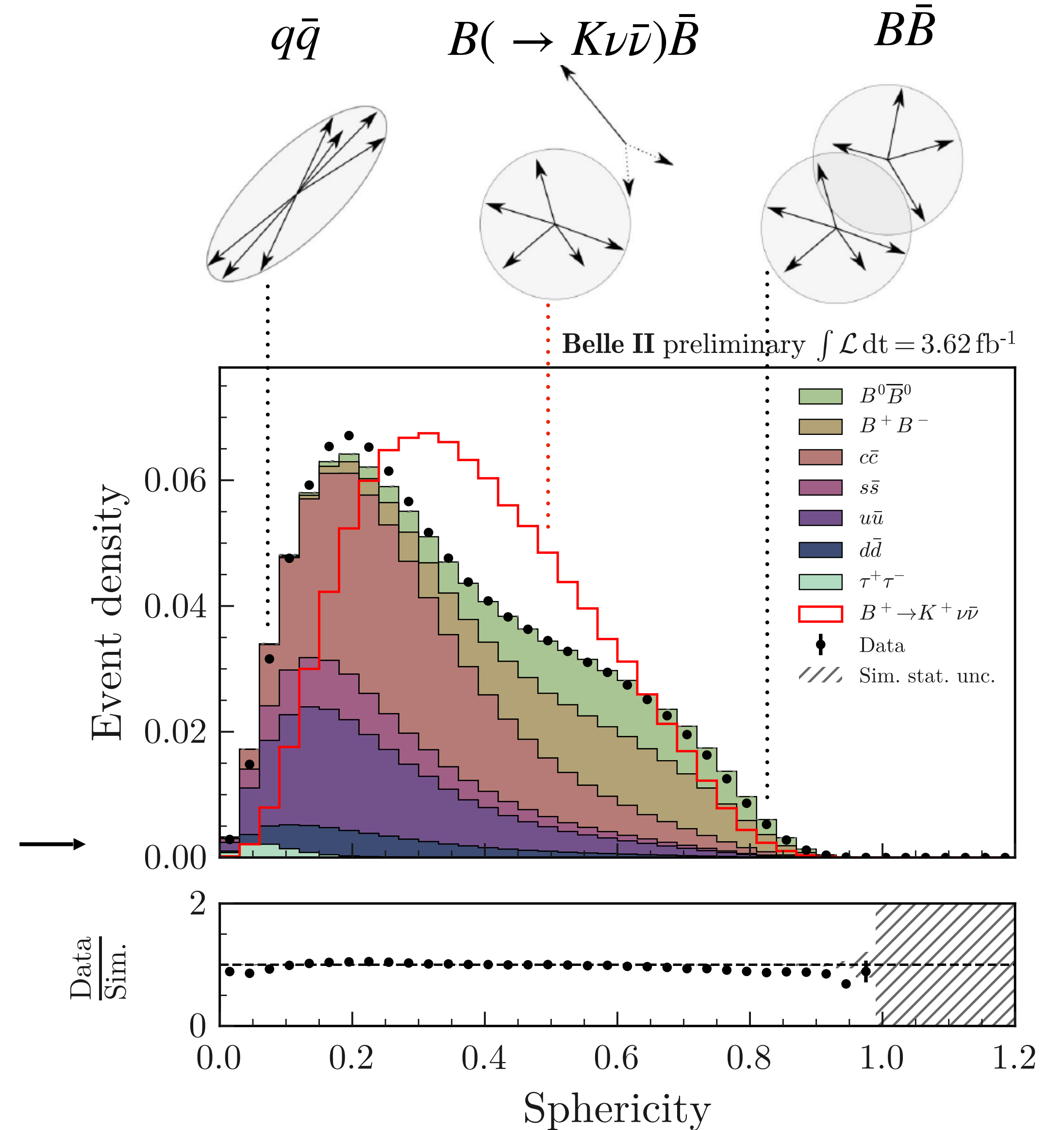
# Discriminating variables

Seven major backgrounds categories:



**ITA** discriminating variables: signal kinematics, two/three-track vertices, general event topology (e.g sphericity)

**HTA** discriminating variables: signal kinematics,  $B_{tag}$ , other track and cluster information



# Background suppression

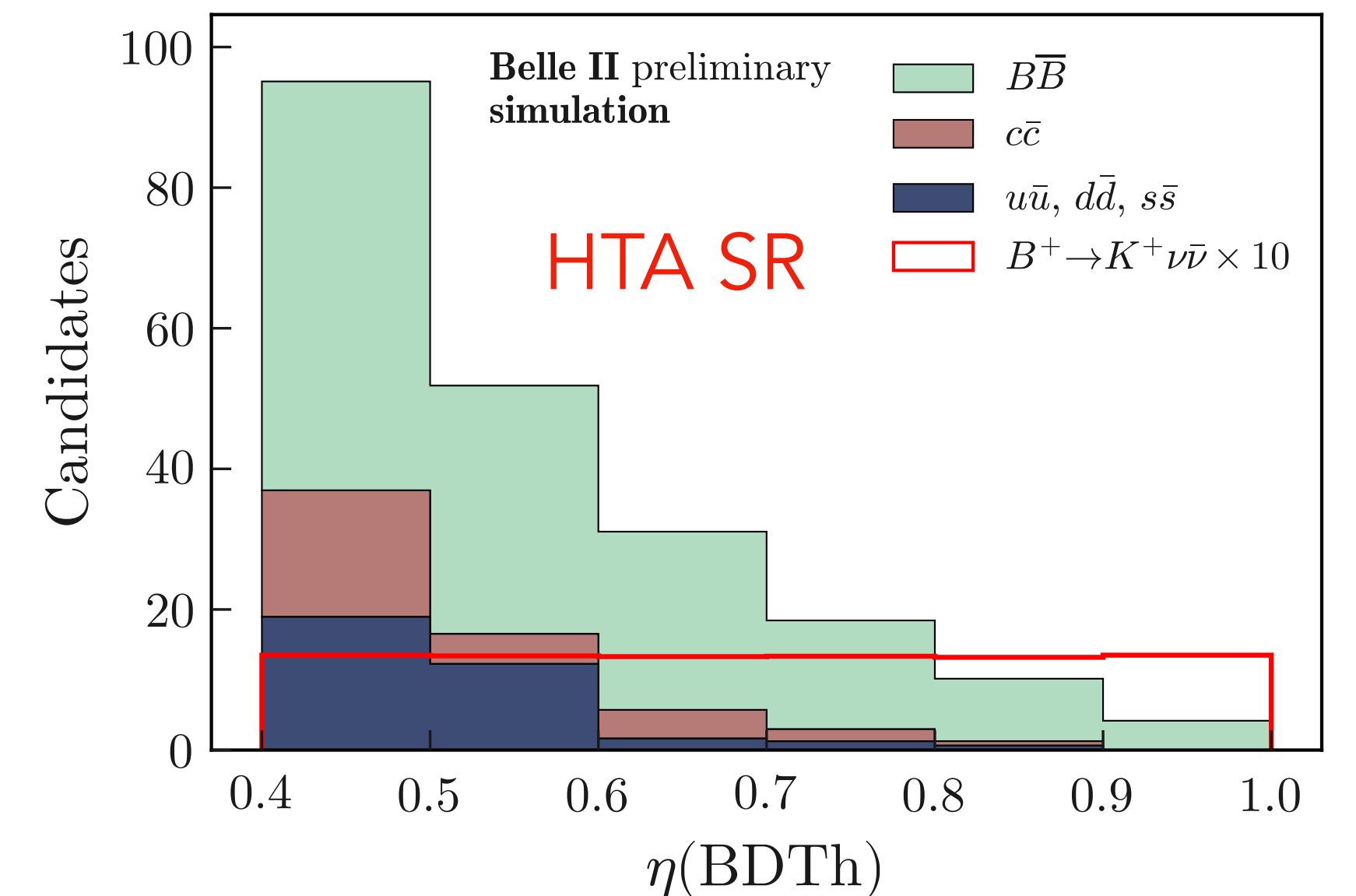
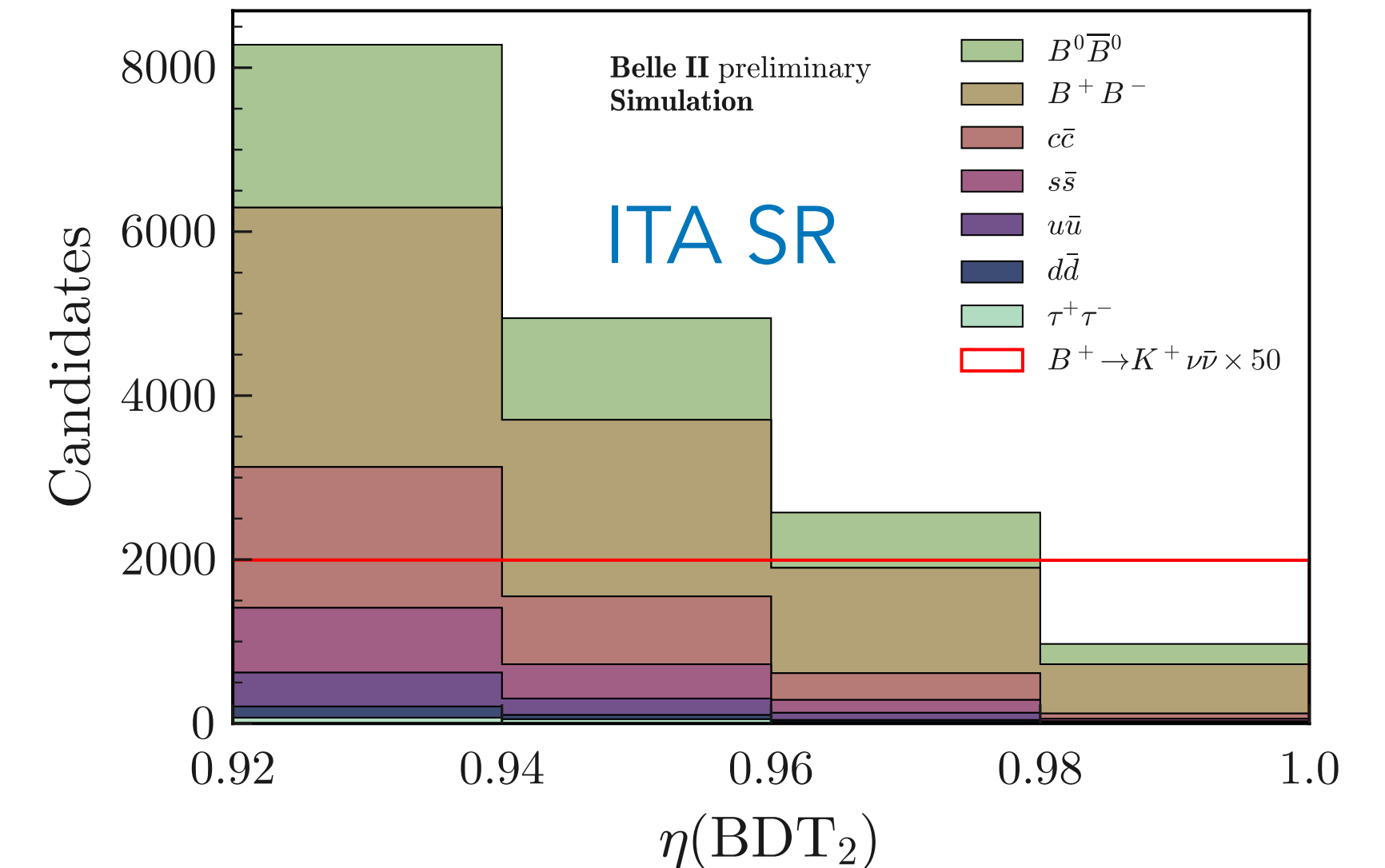
1. Feed well-modelled discriminant variables in boosted decision tree (BDT) based classifiers:

- **ITA** two consecutive BDTs:
  - **first level filter**  $\text{BDT}_1$  with 12 input variables
  - **key discrimination** achieved by 35 inputs fed to  $\text{BDT}_2$  (3 x higher sensitivity wrt  $\text{BDT}_1$ )
- **HTA** uses a single  $\text{BDTh}$  with 12 input variables

2. transform  $\text{BDTh}$  and  $\text{BDT}_2$  to a uniform distribution equivalent to efficiency ( $\eta$ )

3. choose signal region ( $\text{SR}$ ) = region with highest sensitivity

- **ITA**  $\text{BDT}_1 > 0.9$ ,  $\eta(\text{BDT}_2) > 0.92$
- **HTA**  $\eta(\text{BDTh}) > 0.4$



# Background suppression

1. Feed well-modelled discriminant variables in boosted decision tree (BDT) based classifiers:

○ **ITA** two consecutive BDTs:

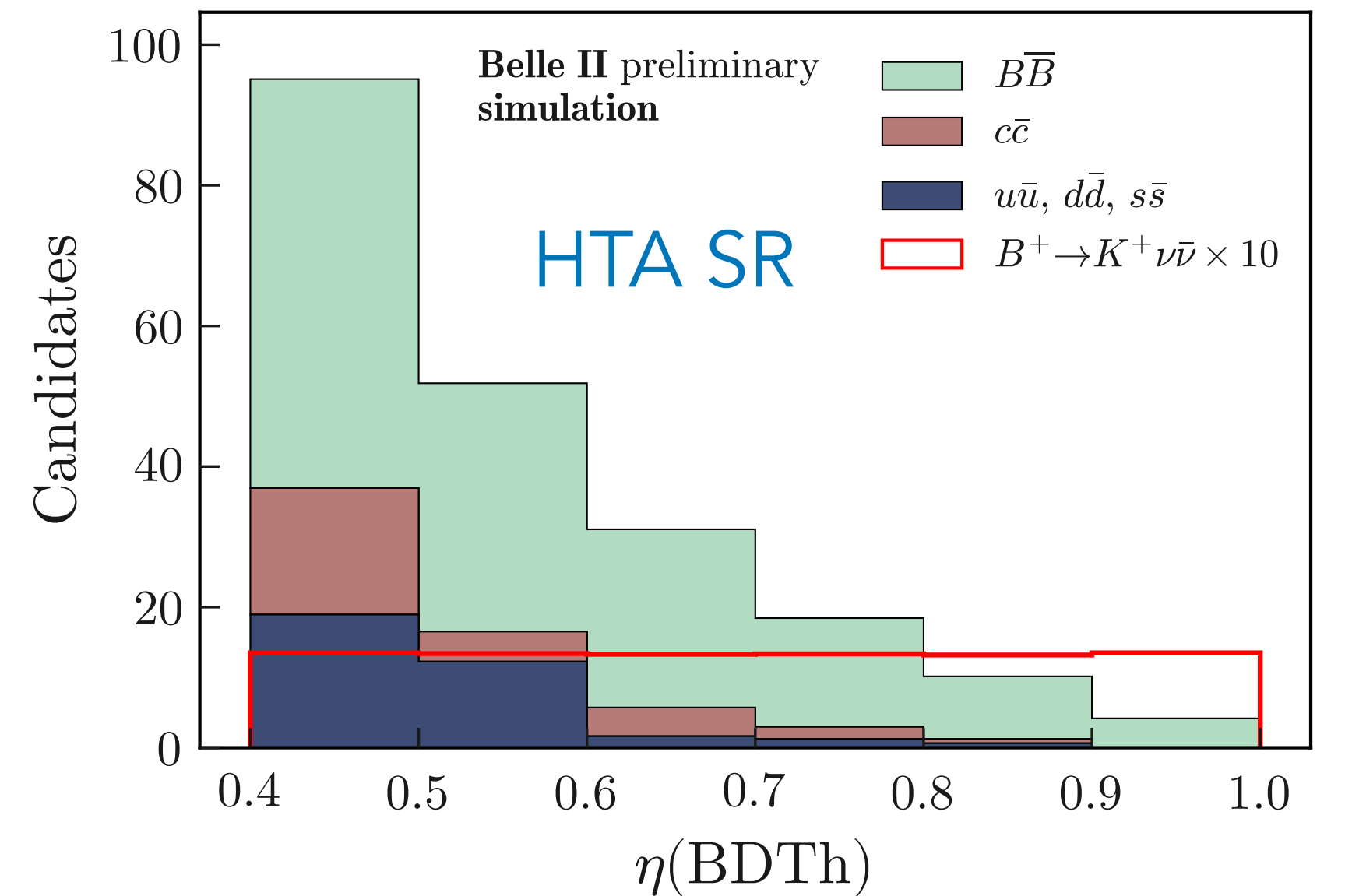
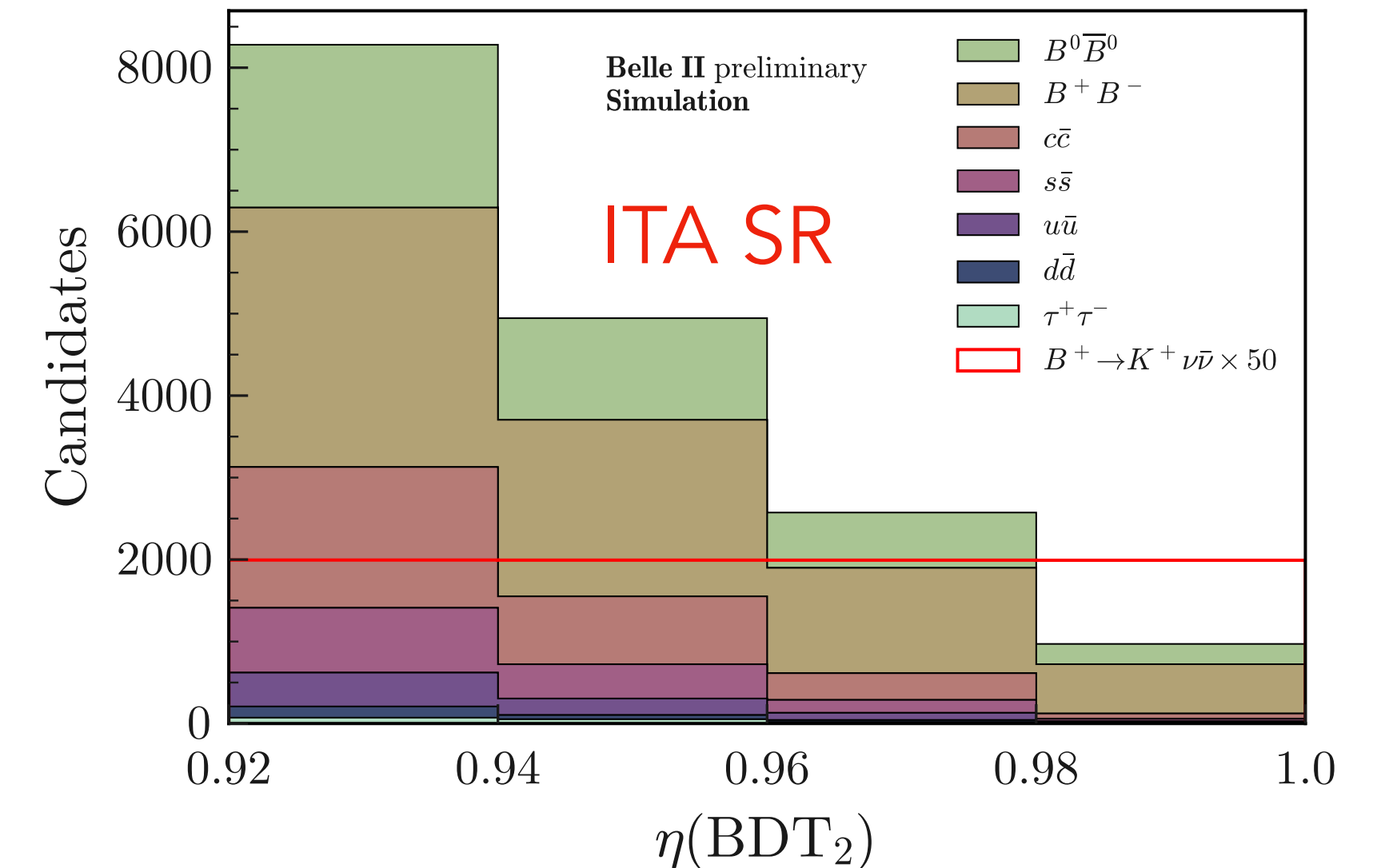
## SR metrics:

- **ITA** signal efficiency = 8%; purity = 0.9%
- **HTA** signal efficiency = 0.4%; purity = 3.5%
- **ITA** background composition
  - 40%  $q\bar{q}$  backgrounds
  - 60%  $B\bar{B}$  backgrounds

3. choose signal region (SR) = region with highest sensitivity

○ **ITA**  $BDT_1 > 0.9, \eta(BDT_2) > 0.92$

○ **HTA**  $\eta(BDTh) > 0.4$



# Signal Extraction Strategy

Perform binned maximum likelihood fit to extract parameter of interest signal strength  $\mu$

## ○ ITA

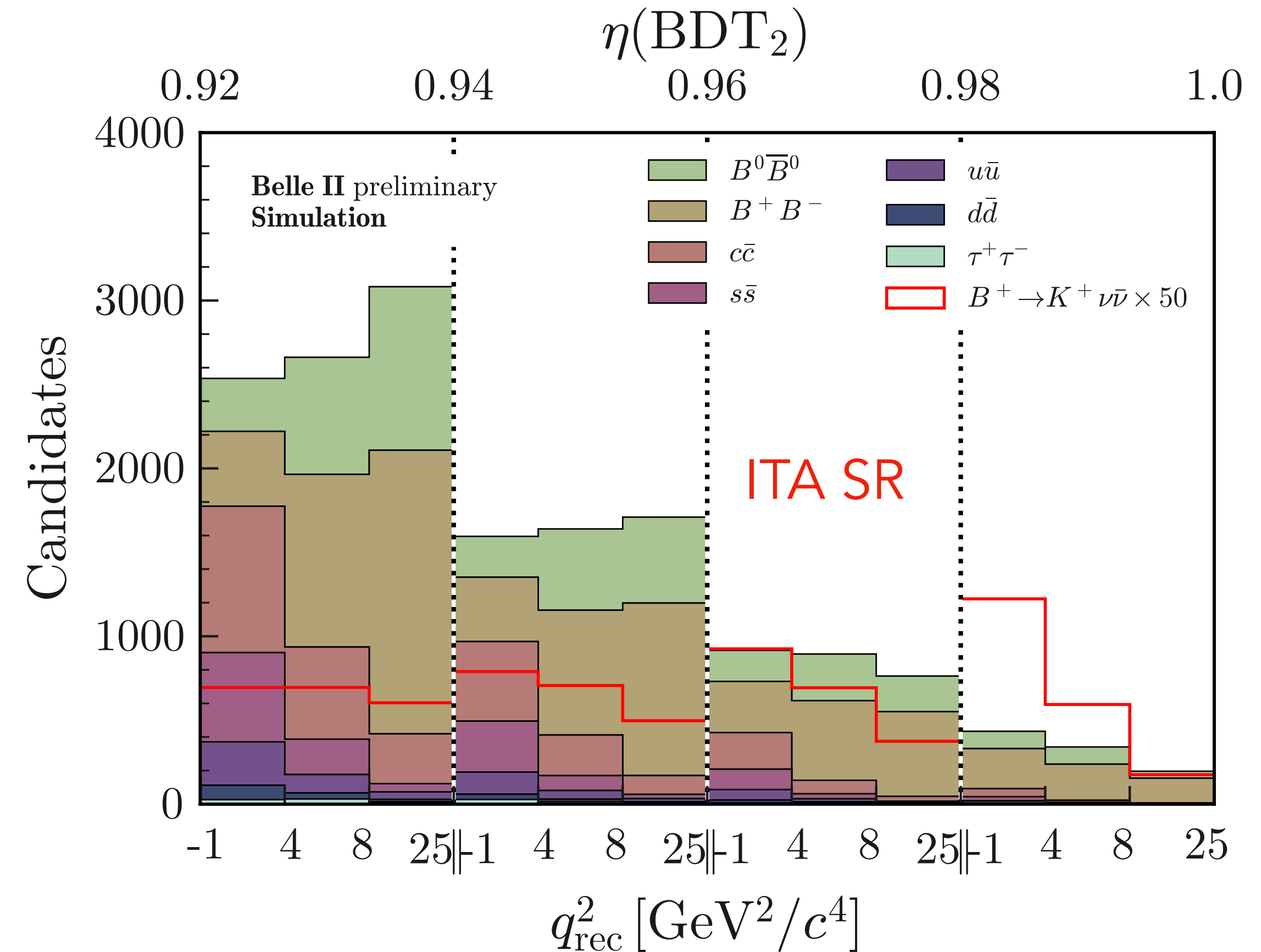
- fitting variables: classifier output  $\eta(\text{BDT}_2)$  and mass squared of the neutrino pair  $q_{rec}^2$
- simultaneous fit to on-resonance and off-resonance data to better constrain  $q\bar{q}$

## ○ HTA

- fitting variables: classifier output  $\eta(\text{BDT}_h)$
- fit to on-resonance data only

Systematic uncertainties incorporated in the fit as nuisance parameters

$$\mu = \frac{\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu})}{\mathcal{B}_{SM}(B^+ \rightarrow K^+ \nu \bar{\nu})} \text{ with } \mathcal{B}_{SM} = 4.97 \times 10^{-6}$$



Validation shown for **ITA**,  
but applicable to **HTA**

ITA SR

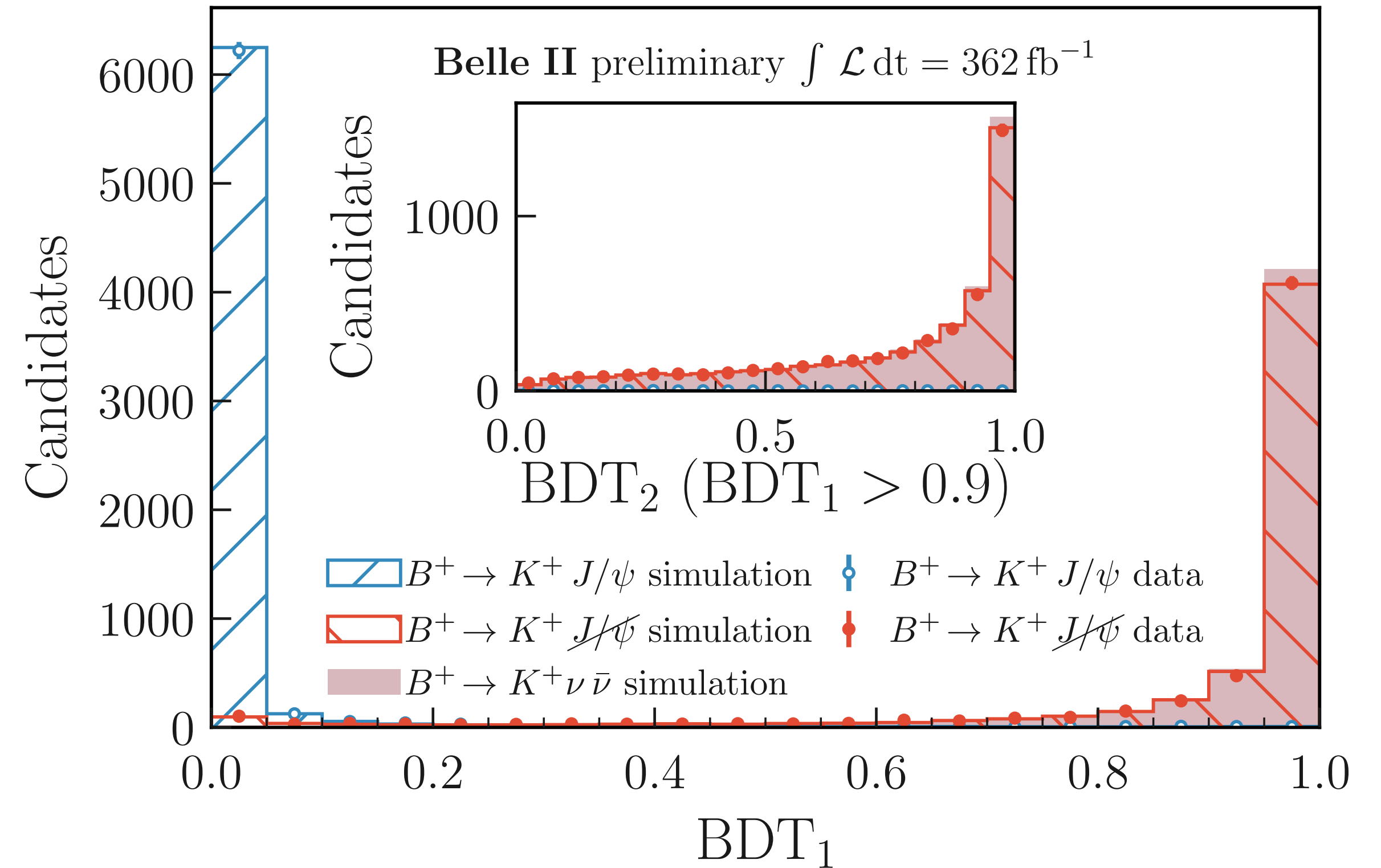
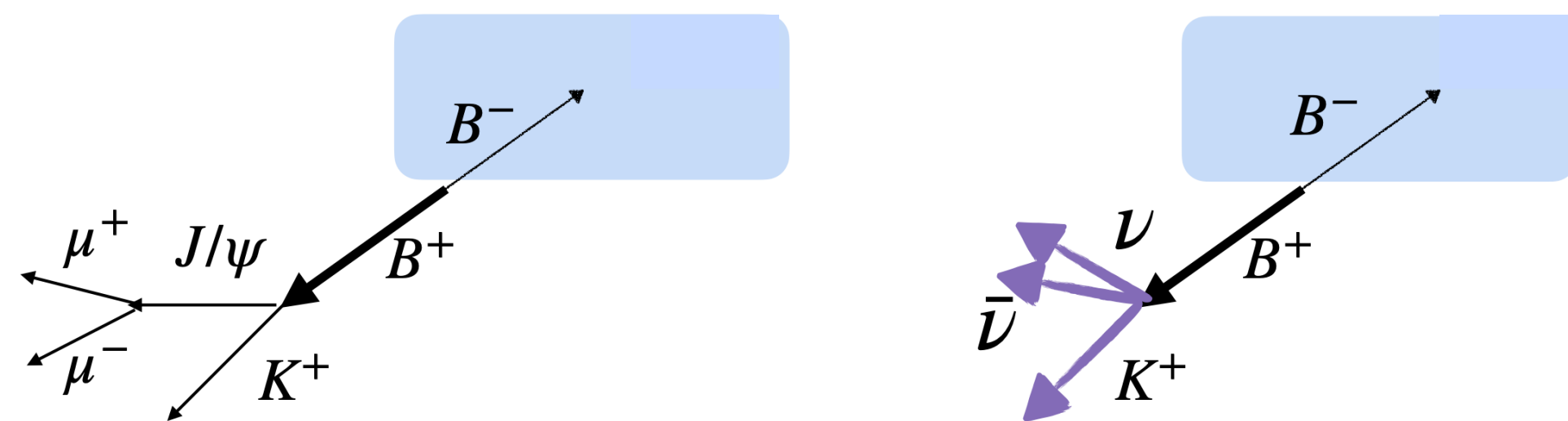


# Signal Efficiency

Signal efficiency checked with signal embedding procedure using  $B^+ \rightarrow K^+ J/\psi (\rightarrow \mu^+ \mu^-)$  events:

1. Use  $B^+ \rightarrow K^+ J/\psi (\rightarrow \mu^+ \mu^-)$  events
2. Remove muons from  $J/\psi$
3. Replace  $K^+$  kinematics by  $K^+$  kinematics from simulated  $B^+ \rightarrow K^+ \nu \bar{\nu}$  signal
4. Apply to data and simulation
5. Compare selection efficiency (except for PID efficiency)

Figure 7 [arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)



Data/MC efficiency ratio:  $1.00 \pm 0.03 \rightarrow$  good agreement



# $B\bar{B}$ Backgrounds

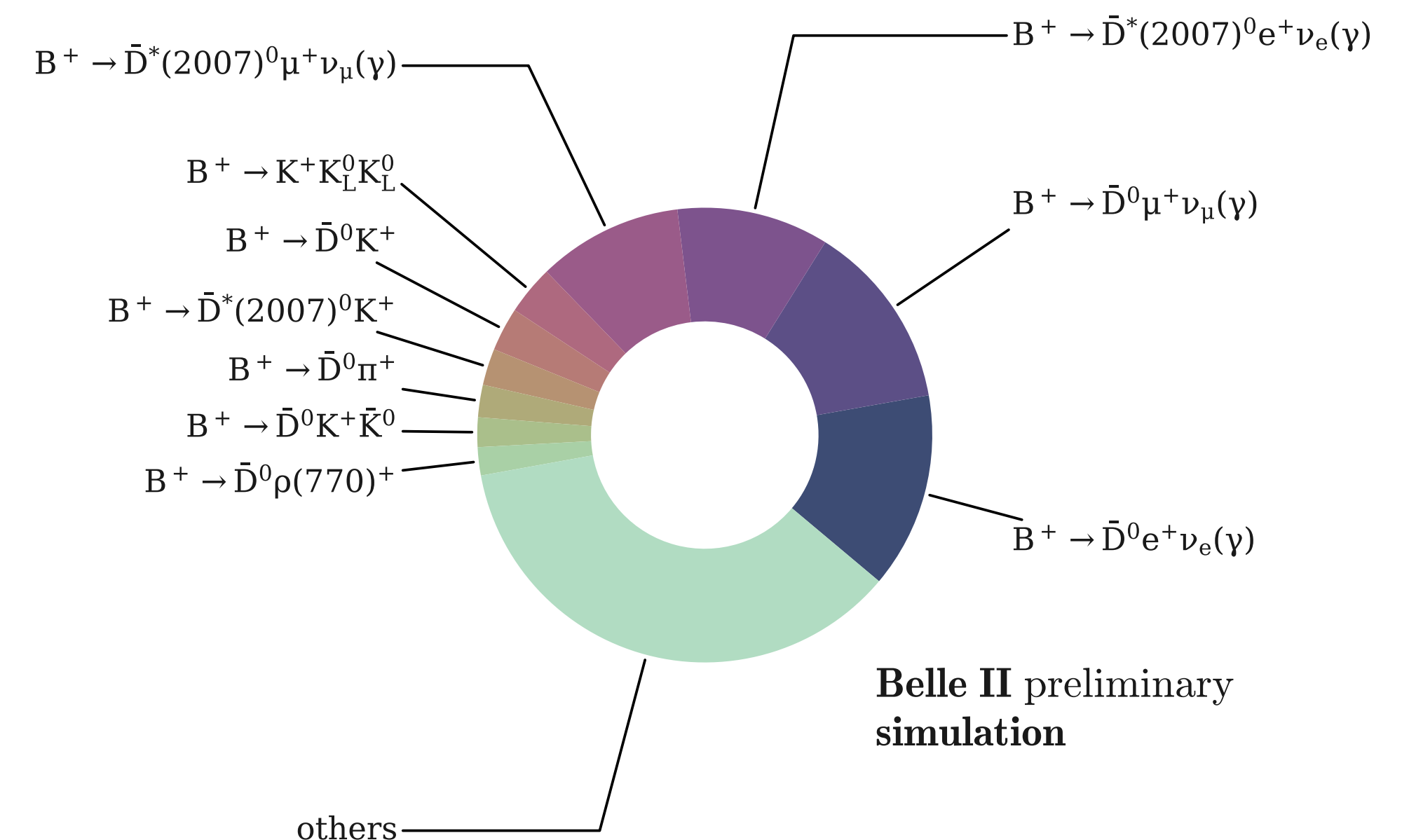
In SR, roughly 60% of expected background events in signal region come from  $B\bar{B}$  events

Production and decays of  $B$  mesons via PYTHIA and EVTGEN

Composition:

- 47%: Semileptonic  $B \rightarrow D^{(*)}(\rightarrow KX)l\nu$  decays
- 38%: Hadronic  $B \rightarrow D^{(*)}K^+$  decays
- 14%: Hadronic decays involving  $K_L^0$
- 1%:  $B^+ \rightarrow \tau^+\nu_\tau$ ,  $B \rightarrow K^*\nu\bar{\nu}$  decays

$B^+B^-$  decays



# Semileptonic $B \rightarrow D^{(*)}(\rightarrow KX)l\nu$ decays

Semileptonic  $B$ -meson decays generally well-modelled in EVTGEN:

- Check invariant mass of the signal kaon track and any other track in ROE
- **Resonances well reproduced in simulation**

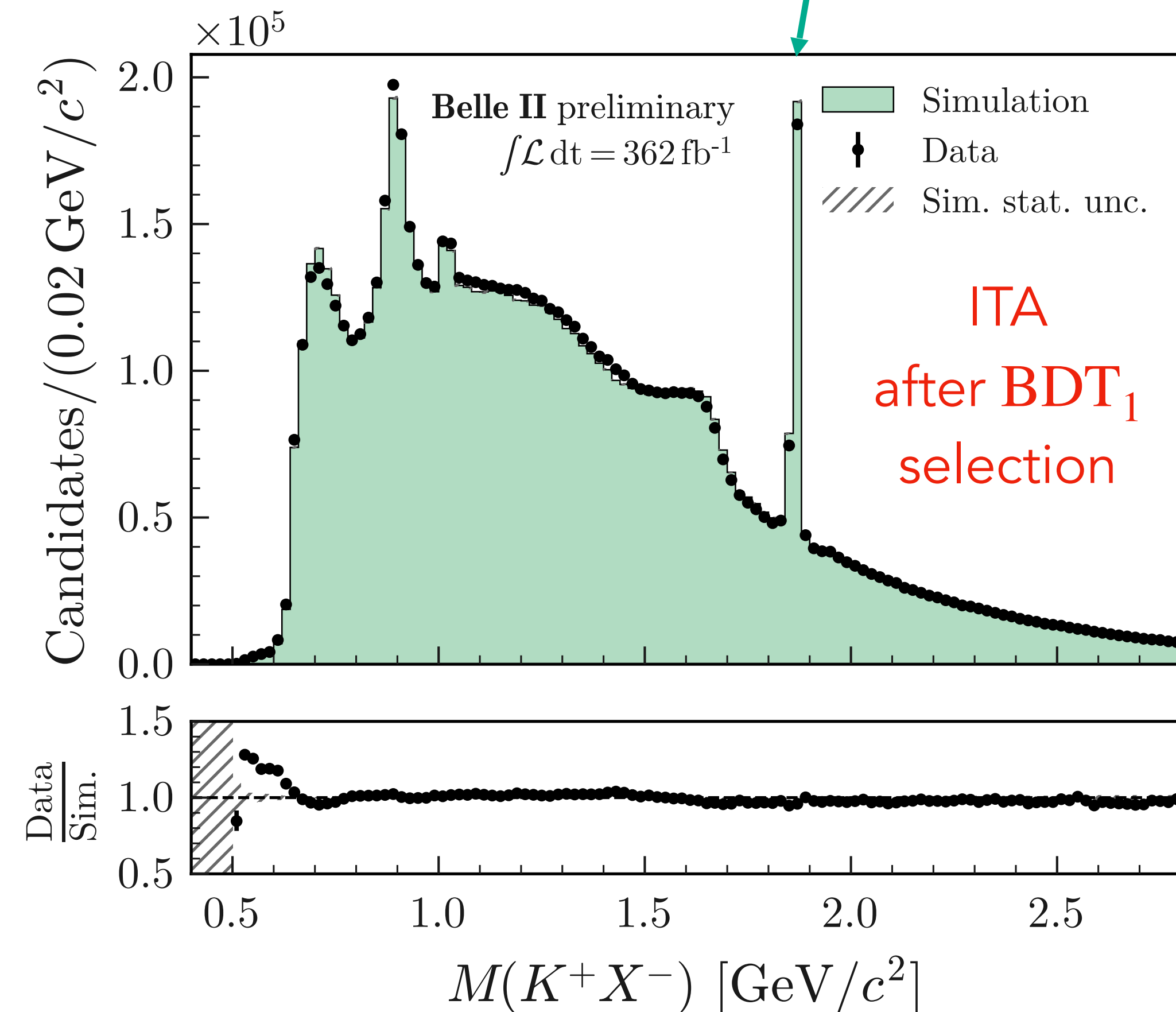


Modes with  $D^{**}$  less well known:

- Dedicated enlarged systematic uncertainties on branching fractions for  $B \rightarrow D^{**}l\nu$
- Impact of uncertainties of form factors found to be negligible



Figure 9 [arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)



# Hadronic decays involving $K_L^0$

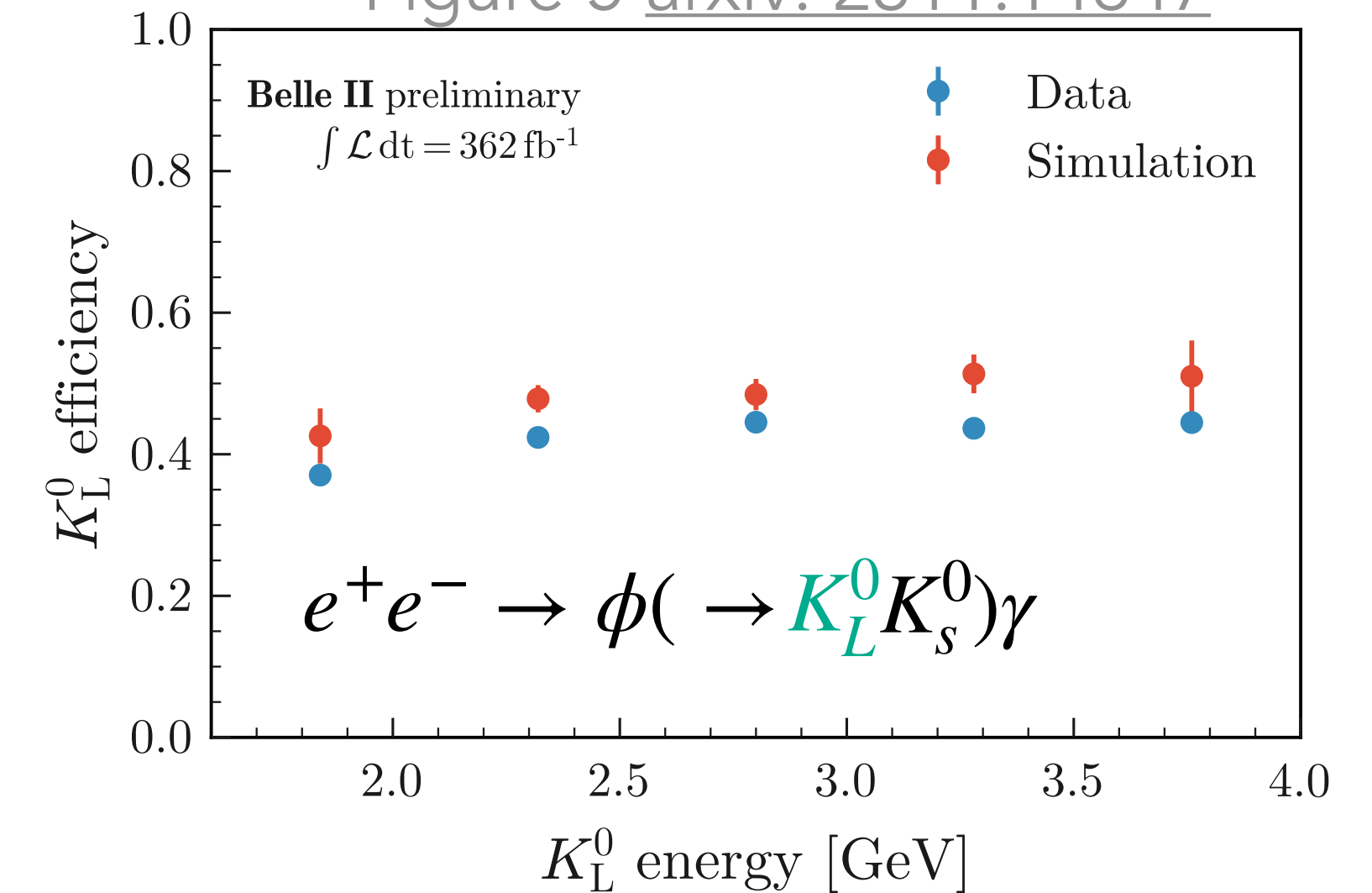
$B^+ \rightarrow K^+ K_L^0 K_L^0$  decays with branching fraction of  $\mathcal{O}(10^{-5})$  are very signal-like as  $K_L^0$  can mimic missing neutrino:

# Hadronic decays involving $K_L^0$

$B^+ \rightarrow K^+ K_L^0 K_L^0$  decays with branching fraction of  $\mathcal{O}(10^{-5})$  are very signal-like as  $K_L^0$  can mimic missing neutrino:

1. Study of the  $K_L^0$  detection efficiency with  $e^+e^- \rightarrow \phi(\rightarrow K_L^0 K_S^0)\gamma$   
→ correct for 17% inefficiency in data wrt simulation

Figure 5 [arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)



# Hadronic decays involving $K_L^0$

$B^+ \rightarrow K^+ K_L^0 K_L^0$  decays with branching fraction of  $\mathcal{O}(10^{-5})$  are very signal-like as  $K_L^0$  can mimic missing neutrino:

1. Study of the  $K_L^0$  detection efficiency with  $e^+e^- \rightarrow \phi(\rightarrow K_L^0 K_S^0)\gamma$   
 $\rightarrow$  correct for 17% inefficiency in data wrt simulation

2. Model the distribution of  $B^+ \rightarrow K^+ K_L^0 K_L^0$  according to BaBar [[PhysRevD.85.112010](#)]:

○ use  $B^+ \rightarrow K^+ K_S^0 K_S^0$  to check modelling of  $B^+ \rightarrow K^+ K_L^0 K_L^0$



Figure 5 [arxiv: 2311.14647](#)

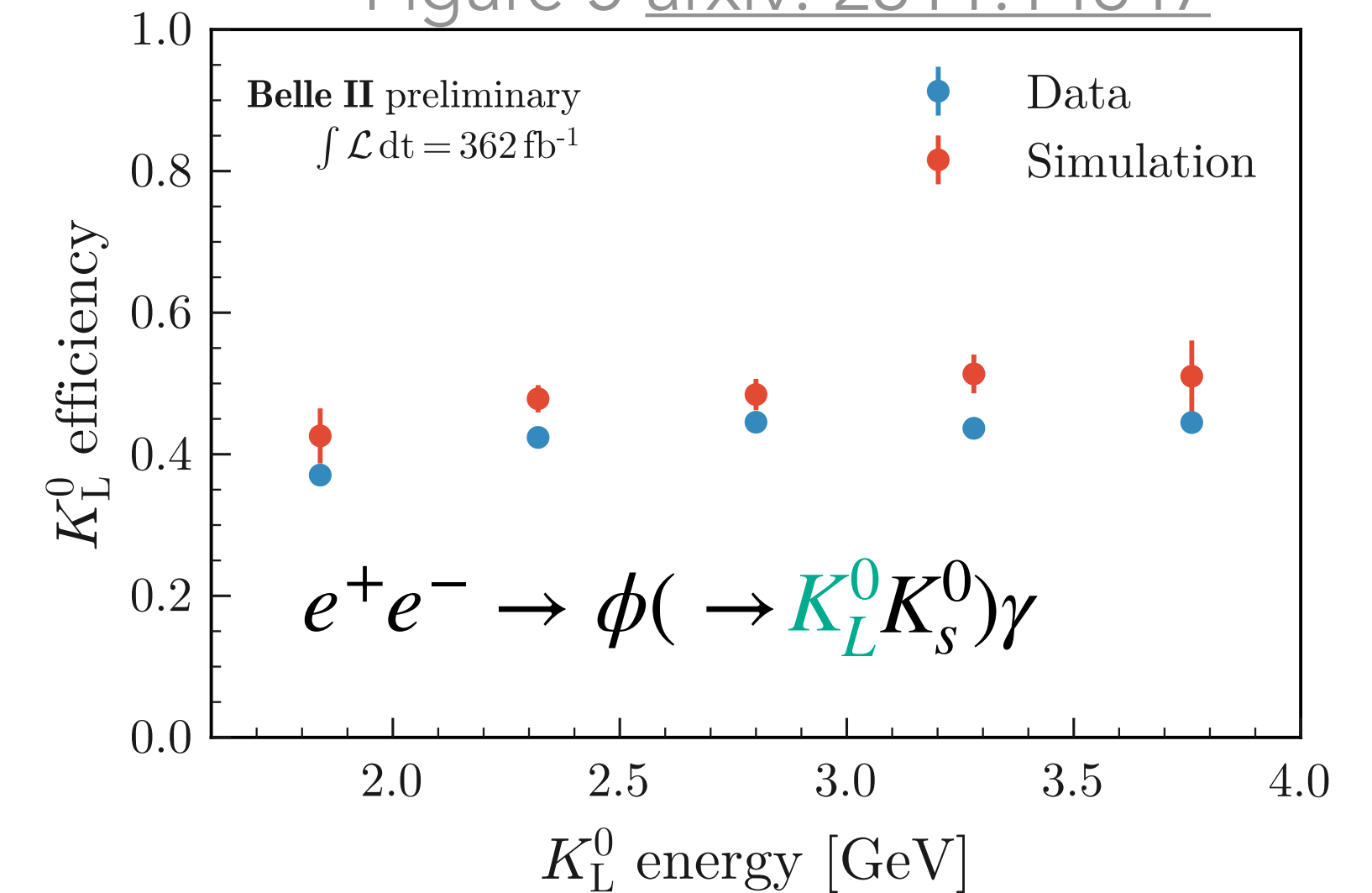
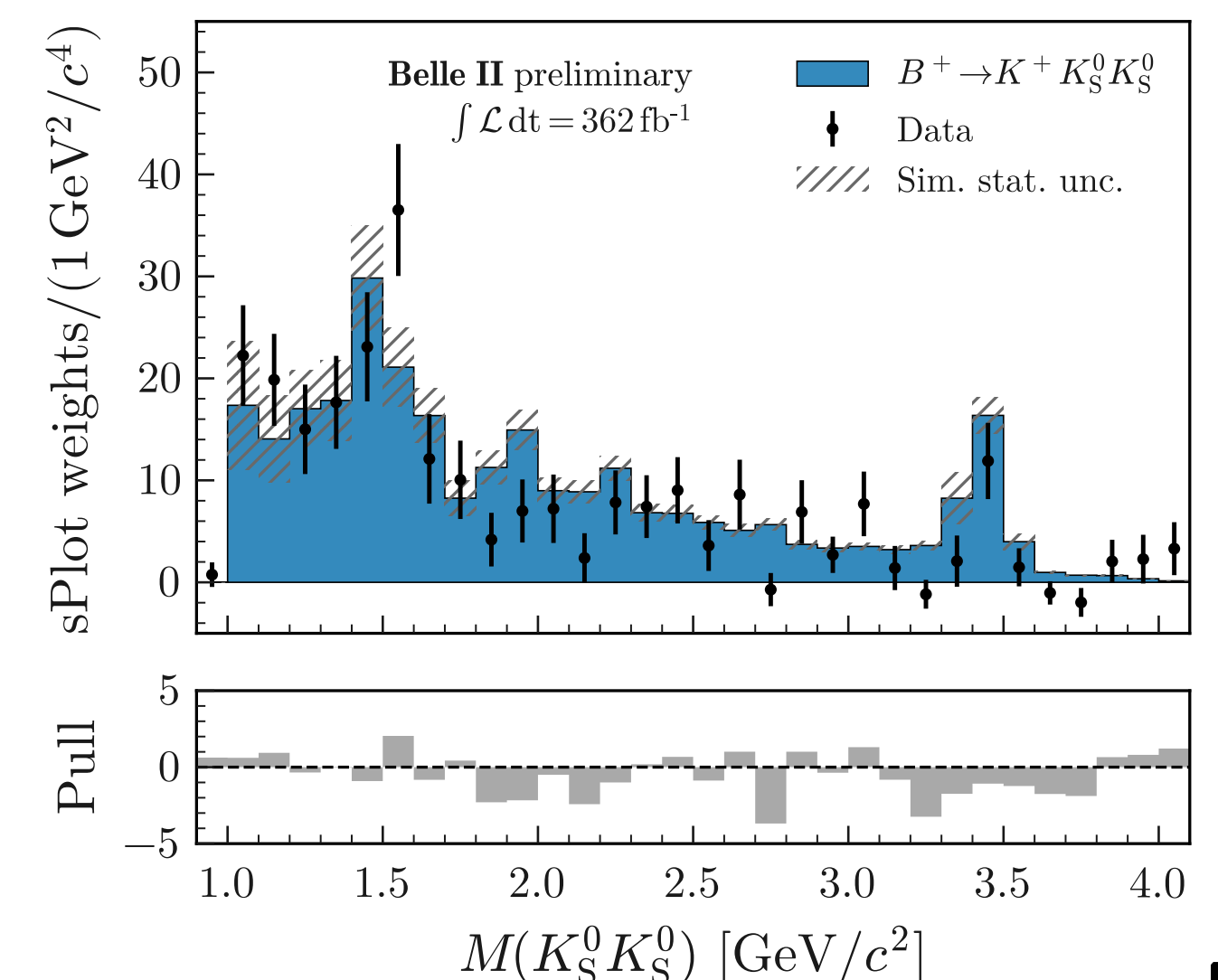


Figure 13 [arxiv: 2311.14647](#)



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Similar treatment for another rare hadronic signal-like backgrounds

$B^+ \rightarrow K^+ K_S^0 K_L^0$ ,  $B^+ \rightarrow K^+ n \bar{n}$

Figure 5 [arxiv: 2311.14647](#)

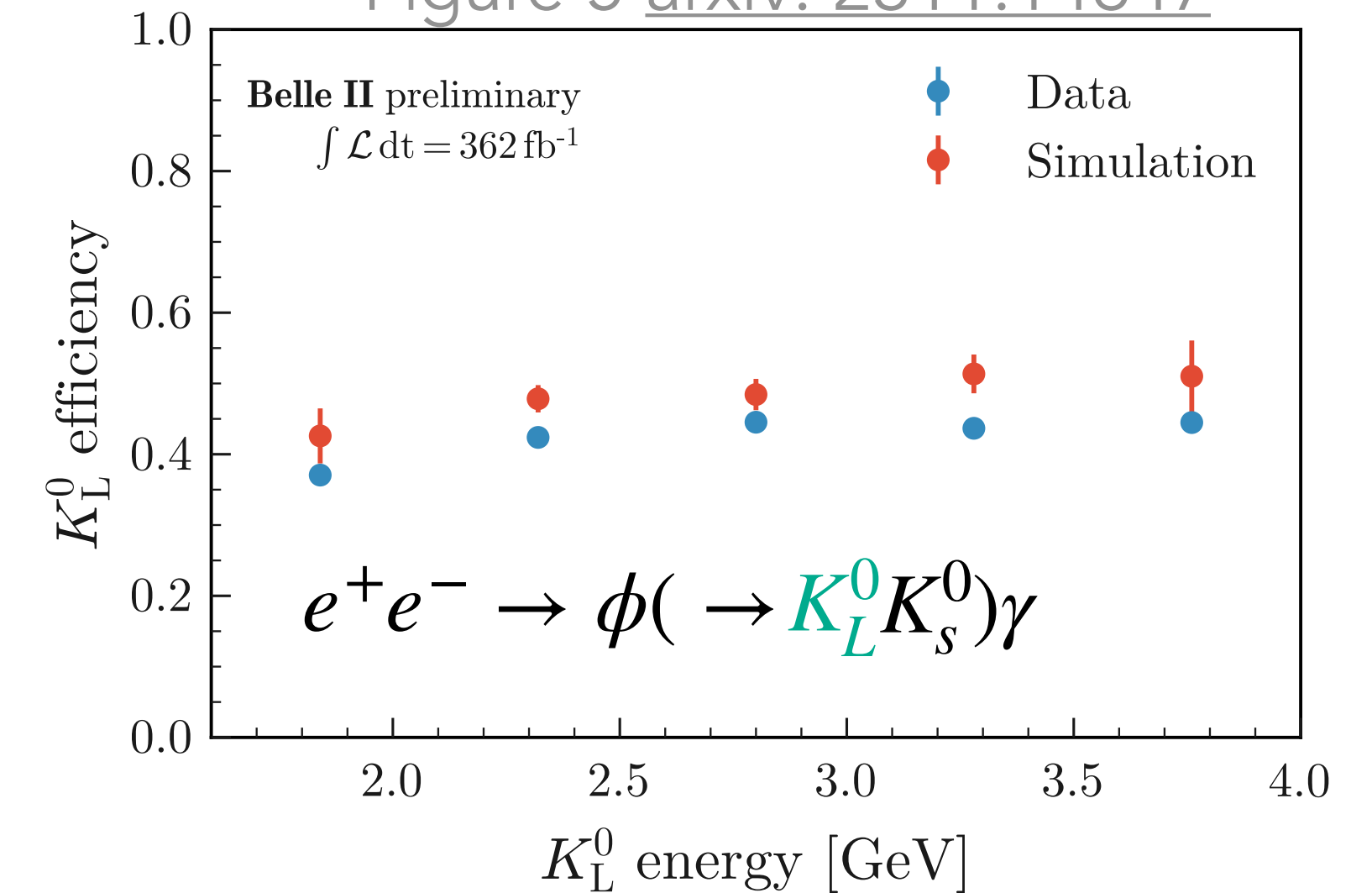
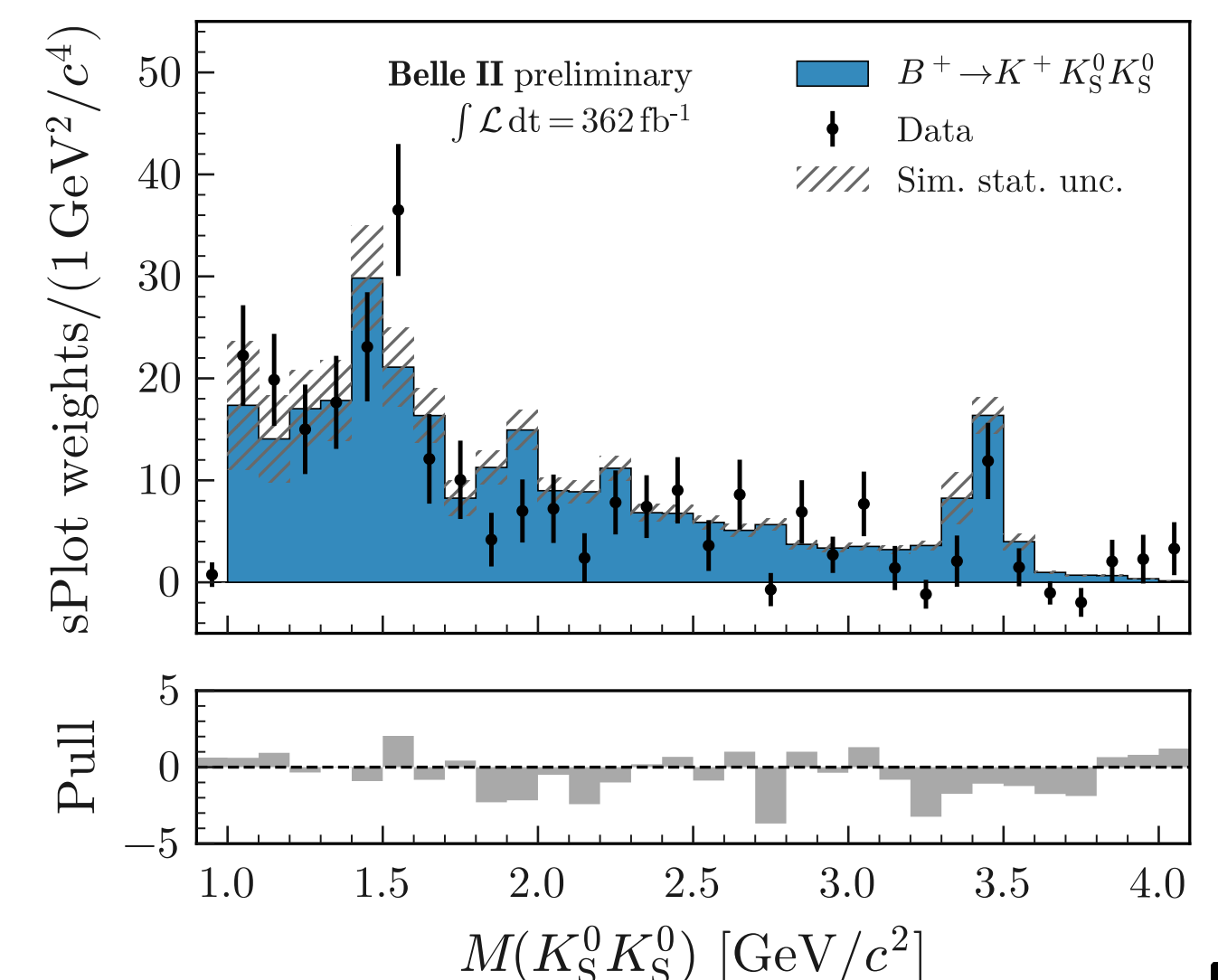


Figure 13 [arxiv: 2311.14647](#)

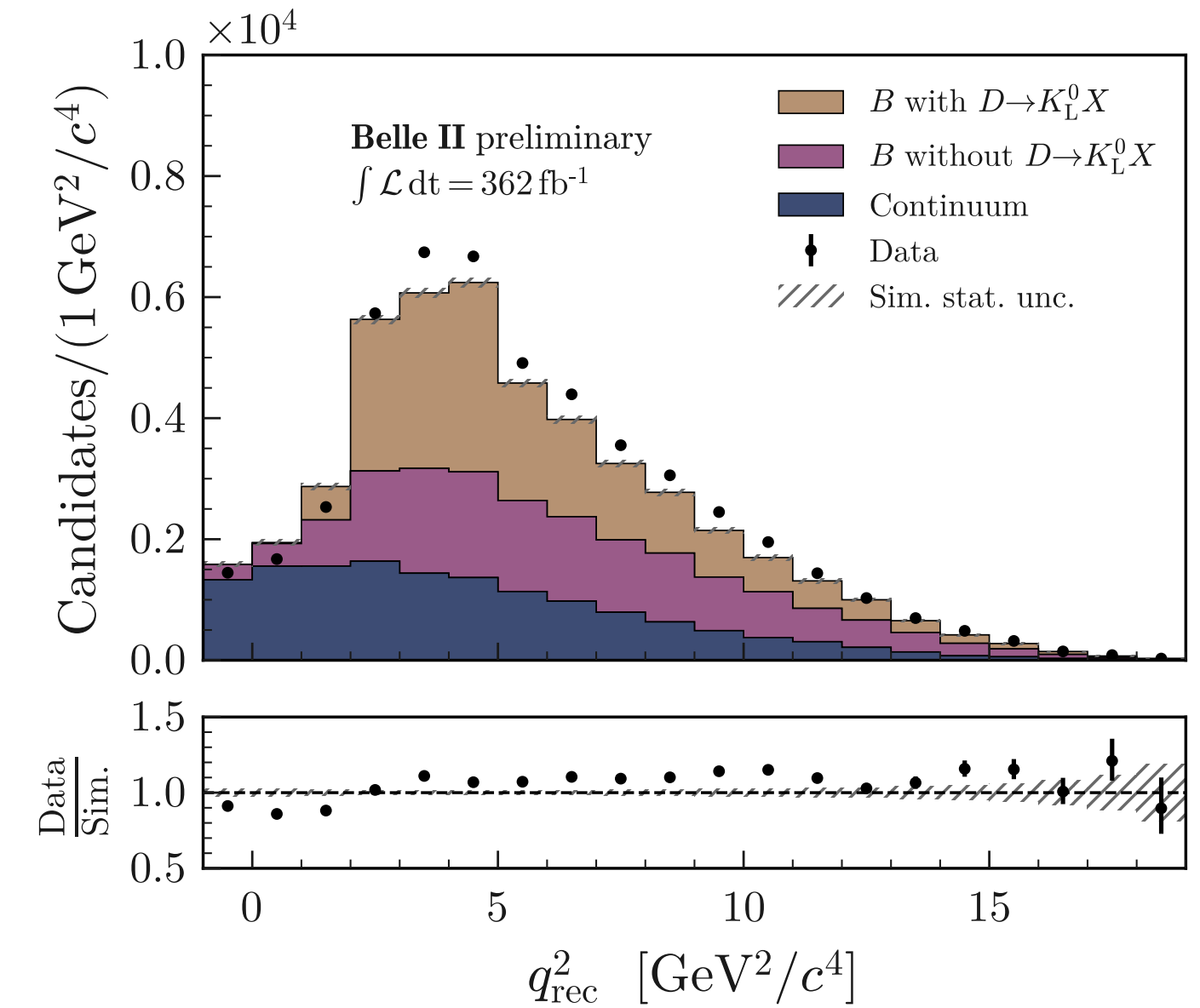


# Hadronic $B \rightarrow D^{(*)}K^+$ decays

Modelling checked on pion-enriched control sample  $B^+ \rightarrow \pi^+ X$ :

- $B^+ \rightarrow \pi^+ X$  distribution already corrected for 17%  $K_L^0$  detection inefficiency

Figure 10 arxiv: 2311.14647





# Hadronic $B \rightarrow D^{(*)}K^+$ decays

Modelling checked on pion-enriched control sample  $B^+ \rightarrow \pi^+ X$ :

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Perform three-component fit to  $q_{rec}^2$ :

- 30% increase of  $B$  with  $D \rightarrow K_L^0 X$  component preferred

Figure 10 arxiv: 2311.14647

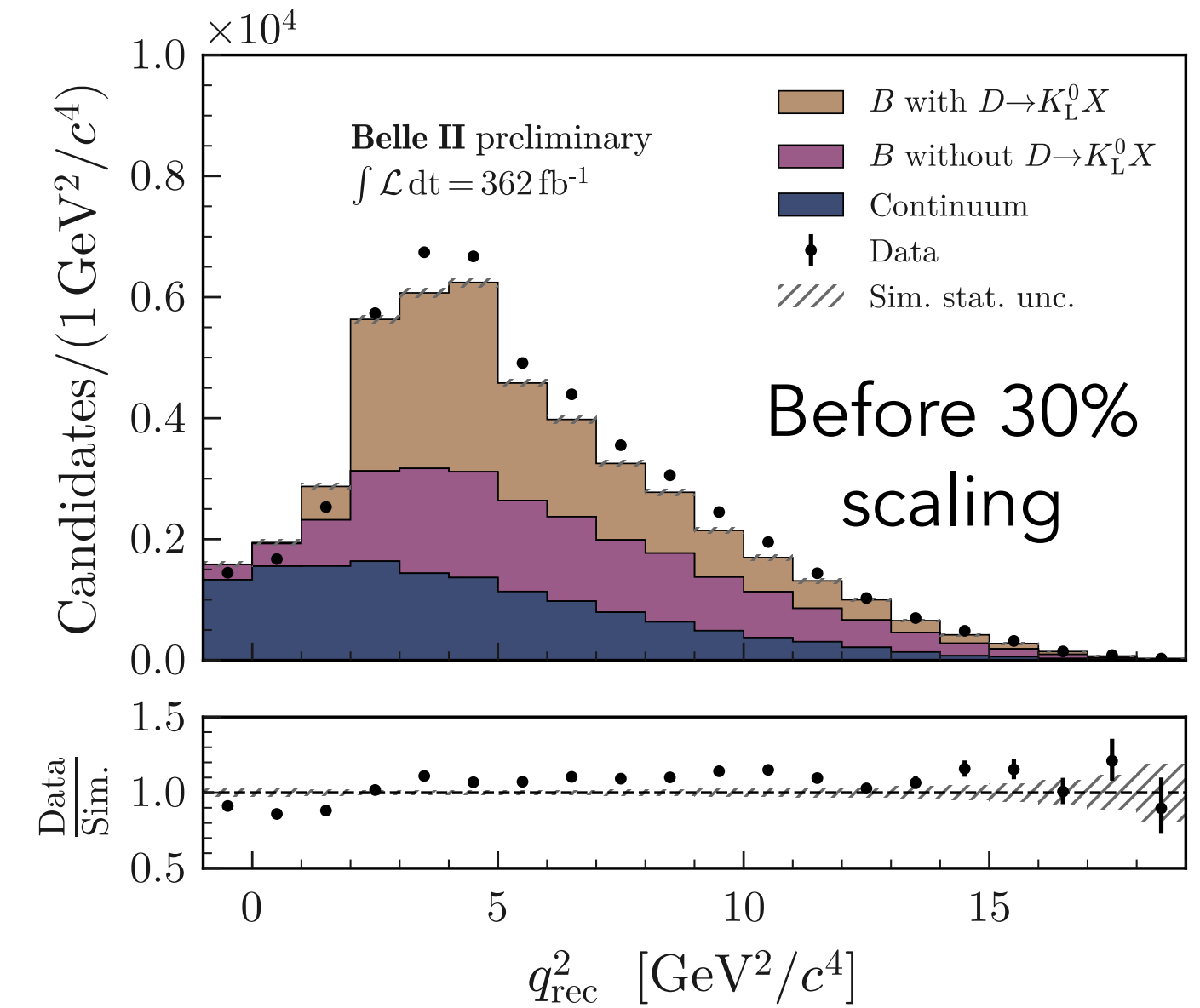
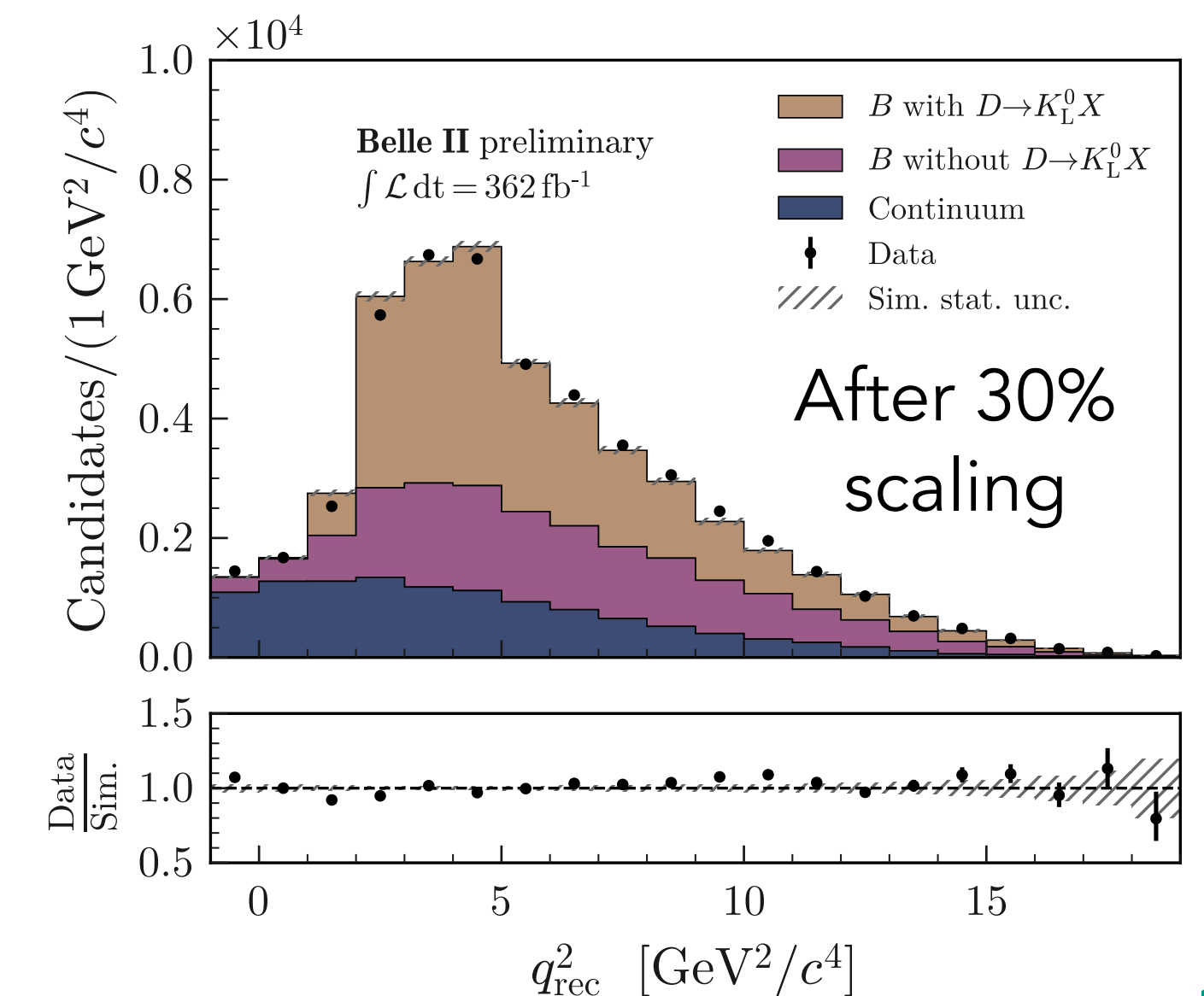


Figure 10 arxiv: 2311.14647



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Validated using other sidebands:  $B^+ \rightarrow e^+ X, B^+ \rightarrow \mu^+ X$  

Figure 10 arxiv: 2311.14647

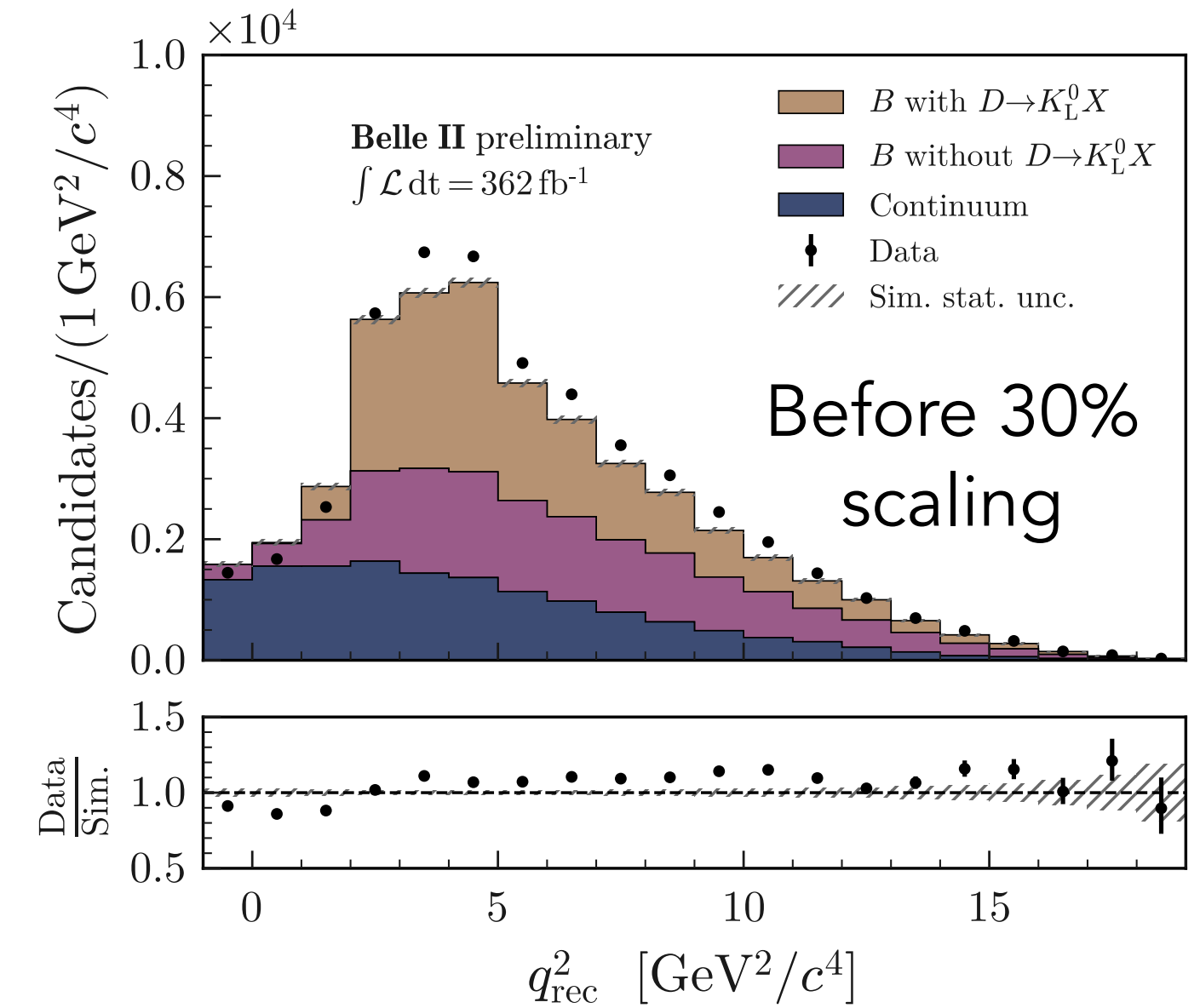
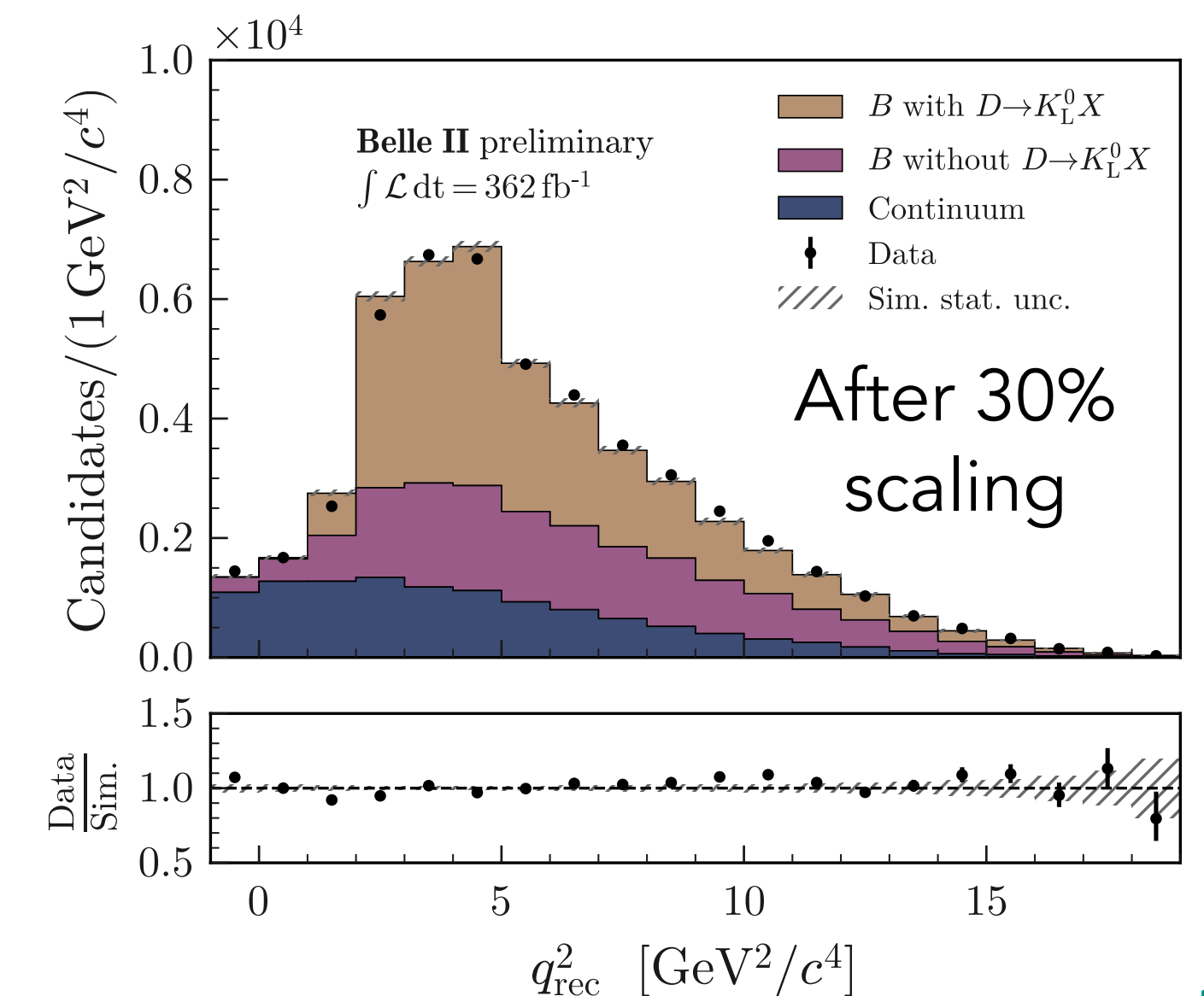


Figure 10 arxiv: 2311.14647



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- 30% increase of  $B$  with  $D \rightarrow K_L^0 X$  component preferred

Validated using other sidebands:  $B^+ \rightarrow e^+ X, B^+ \rightarrow \mu^+ X$  ✓

Check that  $\eta(\text{BDT}_2)$  has good data/MC agreement ✓

Figure 11 arxiv: 2311.14647

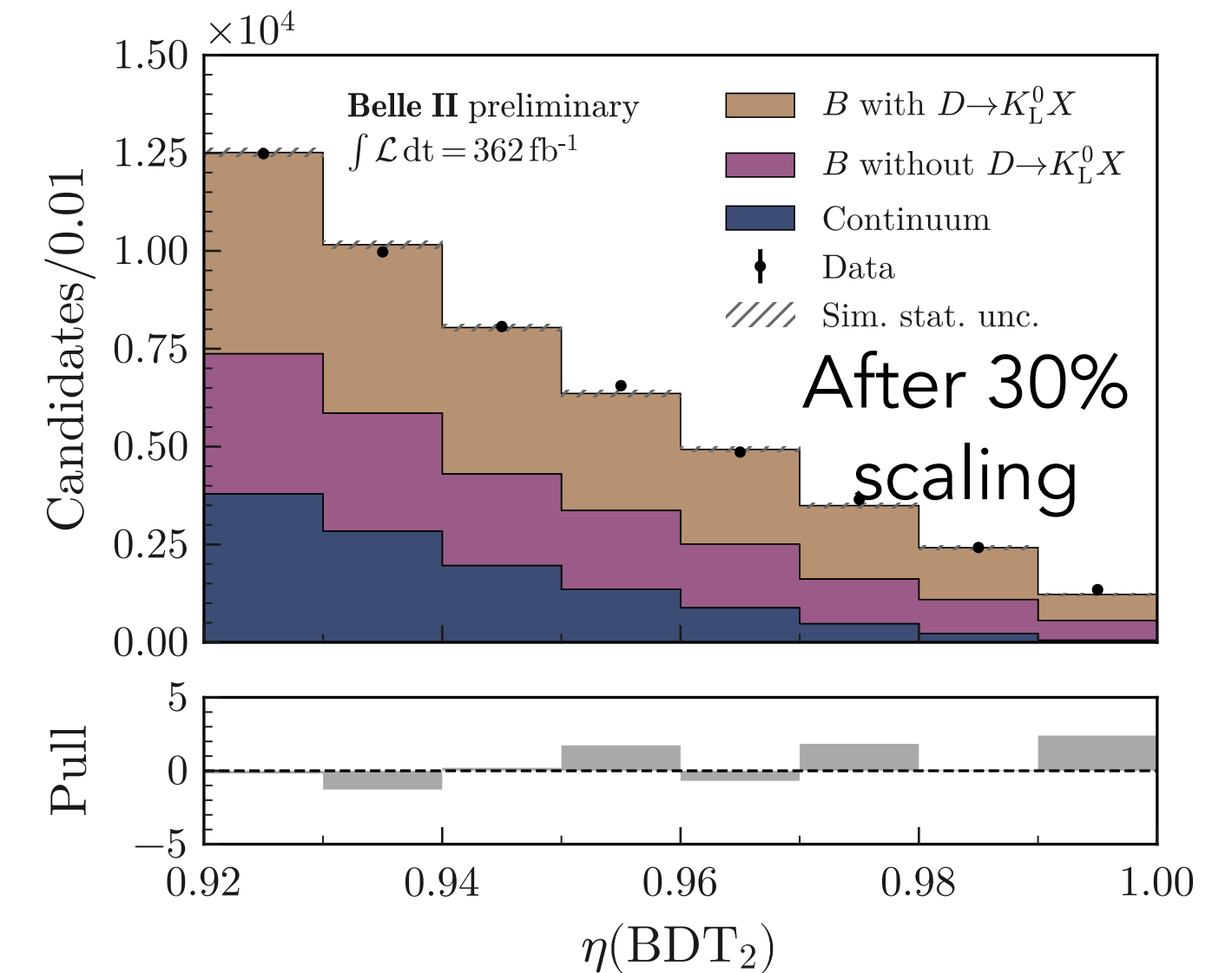
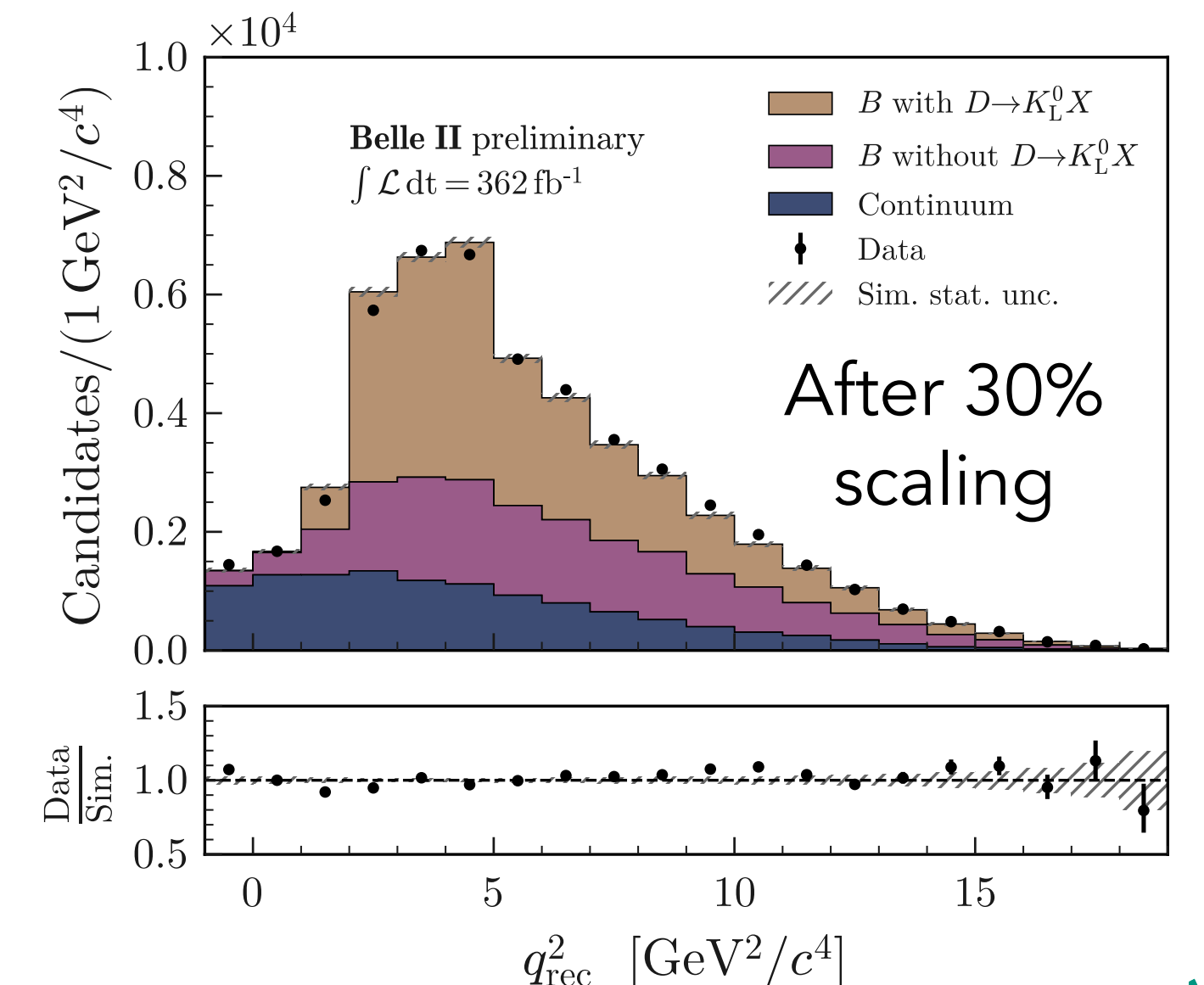


Figure 10 arxiv: 2311.14647



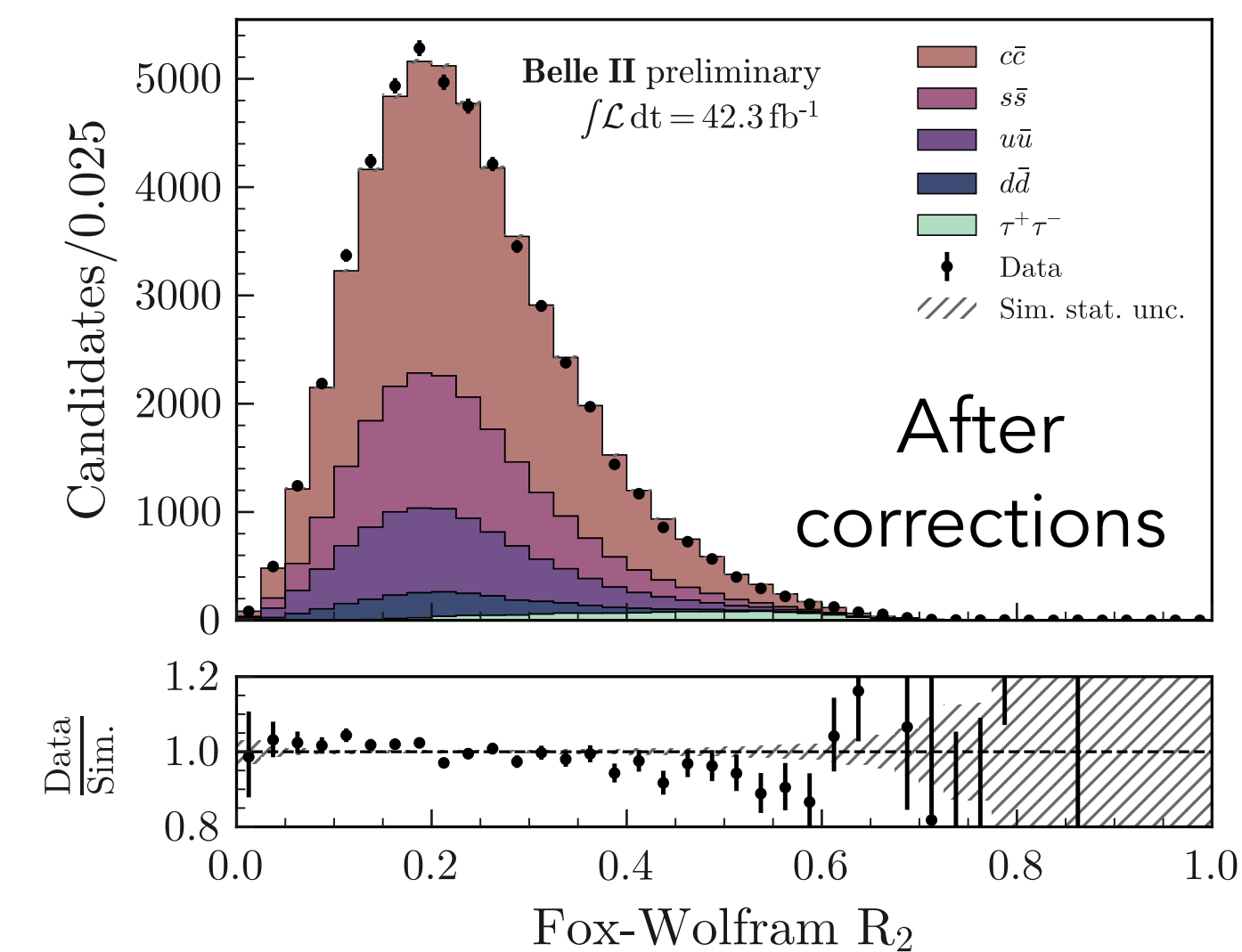
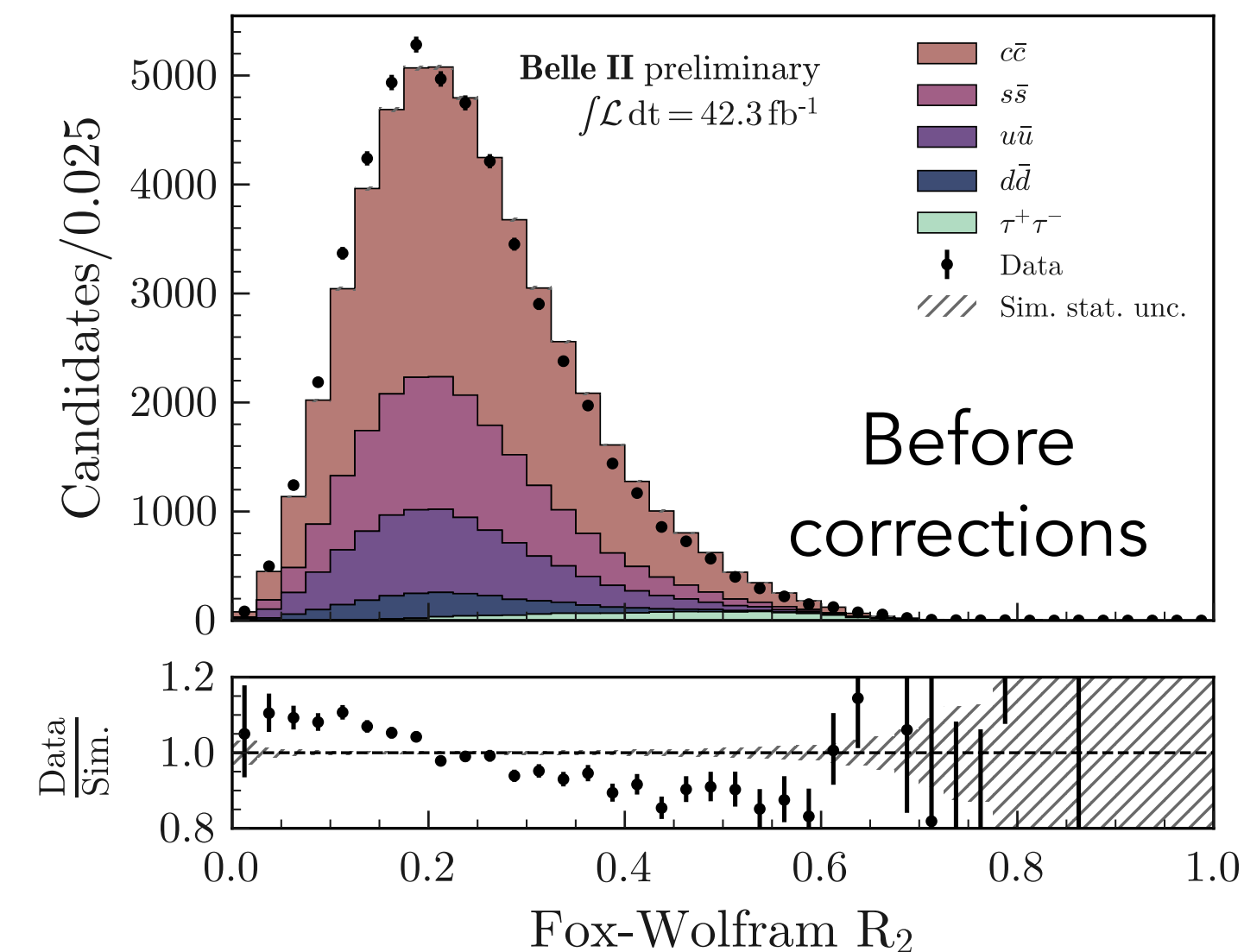
# $q\bar{q}$ Backgrounds

In SR, roughly 40% of expected background events come from  $q\bar{q}$

KKMC generator used to generate  $q\bar{q}$  pairs, PYTHIA simulate hadronization, and EVTGEN used for decay modelling

Compare off-resonance data and continuum MC to check  $q\bar{q}$  background modeling:

- Discrepancy in data/MC normalization (data 40% larger)  
→ propagated as systematic uncertainty
- Discrepancy in shape → fixed by data-driven event weight corrections [[J. Phys.: Conf. Ser. 368 012028](#)]



# Closure test: $\mathcal{B}(B^+ \rightarrow \pi^+ K^0)$

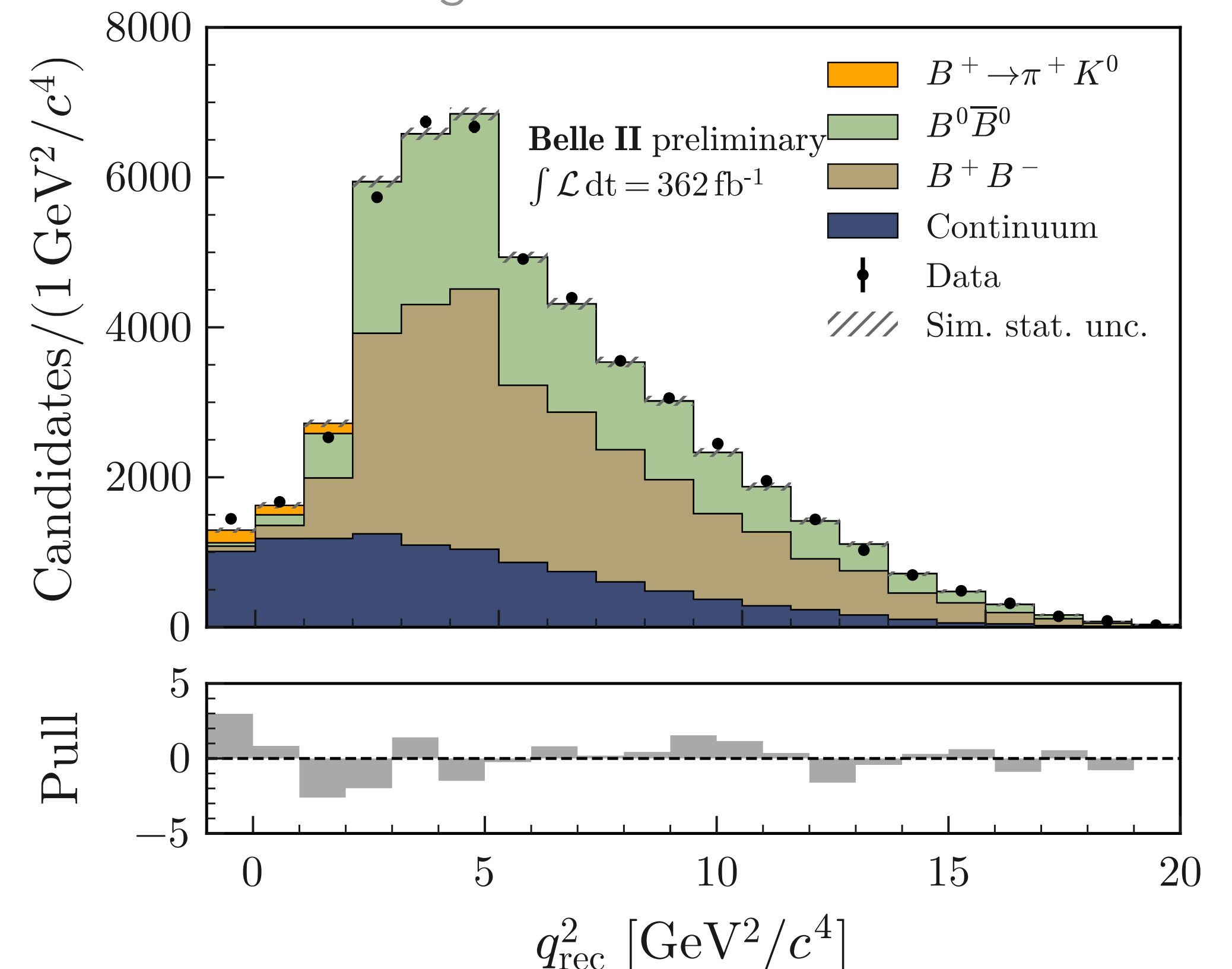
Measurement of a branching fraction for a known rare decay mode  $B^+ \rightarrow \pi^+ K^0$  with **ITA** strategy, but with:

- PionID instead of kaonID requirement
- Different  $q_{rec}^2$  bin boundaries
- Only on-resonance data used for fit

Measured  $\mathcal{B}(B^+ \rightarrow \pi^+ K^0) = (2.5 \pm 0.5) \times 10^{-5}$   
consistent with PDG value of  $(2.3 \pm 0.08) \times 10^{-5}$



Figure 22 [arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)



# Results: ITA

$$\mu = 5.6 \pm 1.1(\text{stat})_{-0.9}^{+1.1}(\text{syst})$$

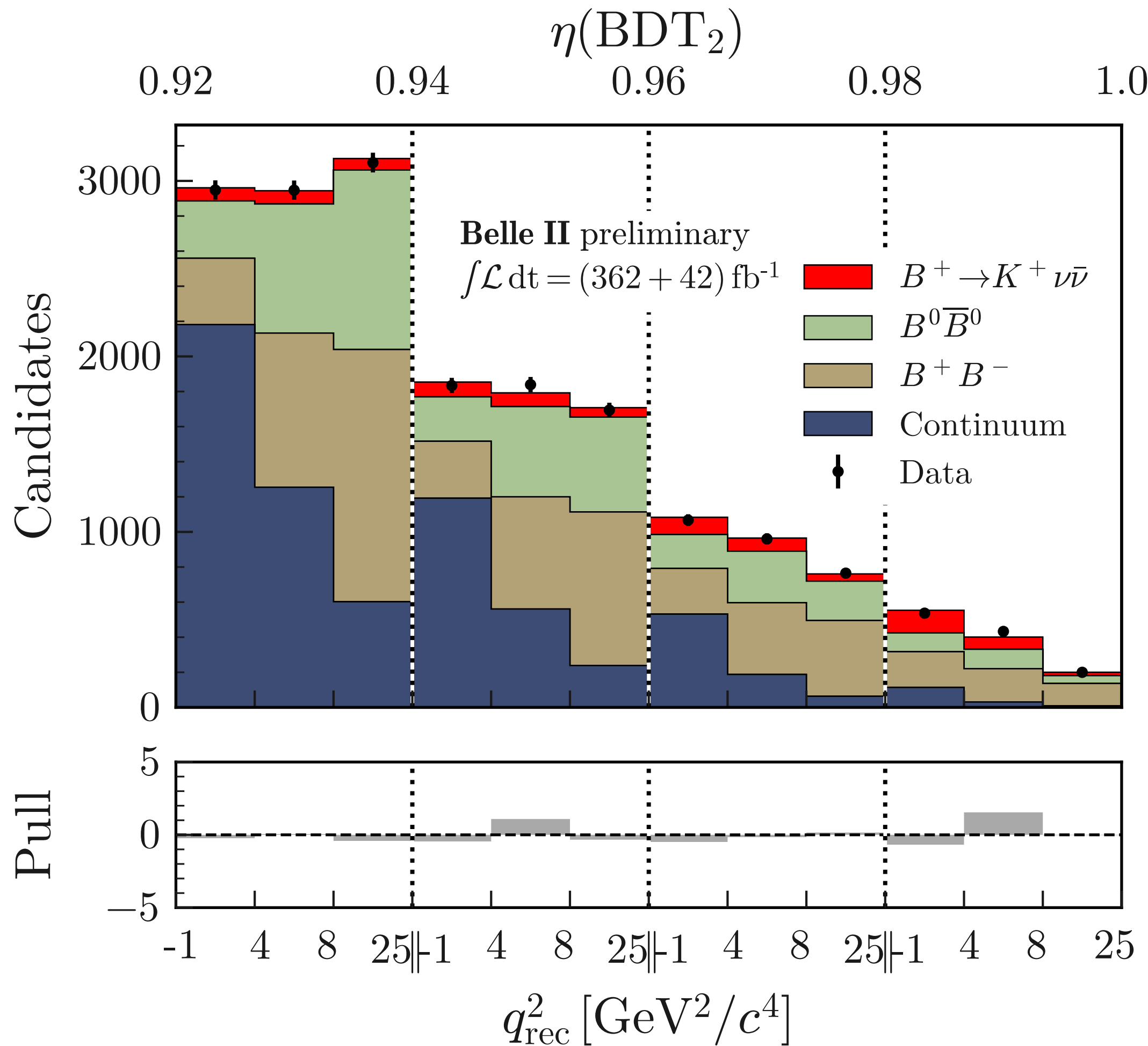
corresponding to

$$\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu}) = 2.8 \pm 0.5(\text{stat}) \pm 0.5(\text{syst}) \times 10^{-5}$$

Data-model  $p$ -value: 47%

3.6  $\sigma$  compatibility wrt background-only hypothesis

3.0  $\sigma$  compatibility wrt to the SM



On-resonance data

Figure 15 [arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)

# Results: ITA

$$\mu = 5.6 \pm 1.1(\text{stat})_{-0.9}^{+1.1}(\text{syst})$$

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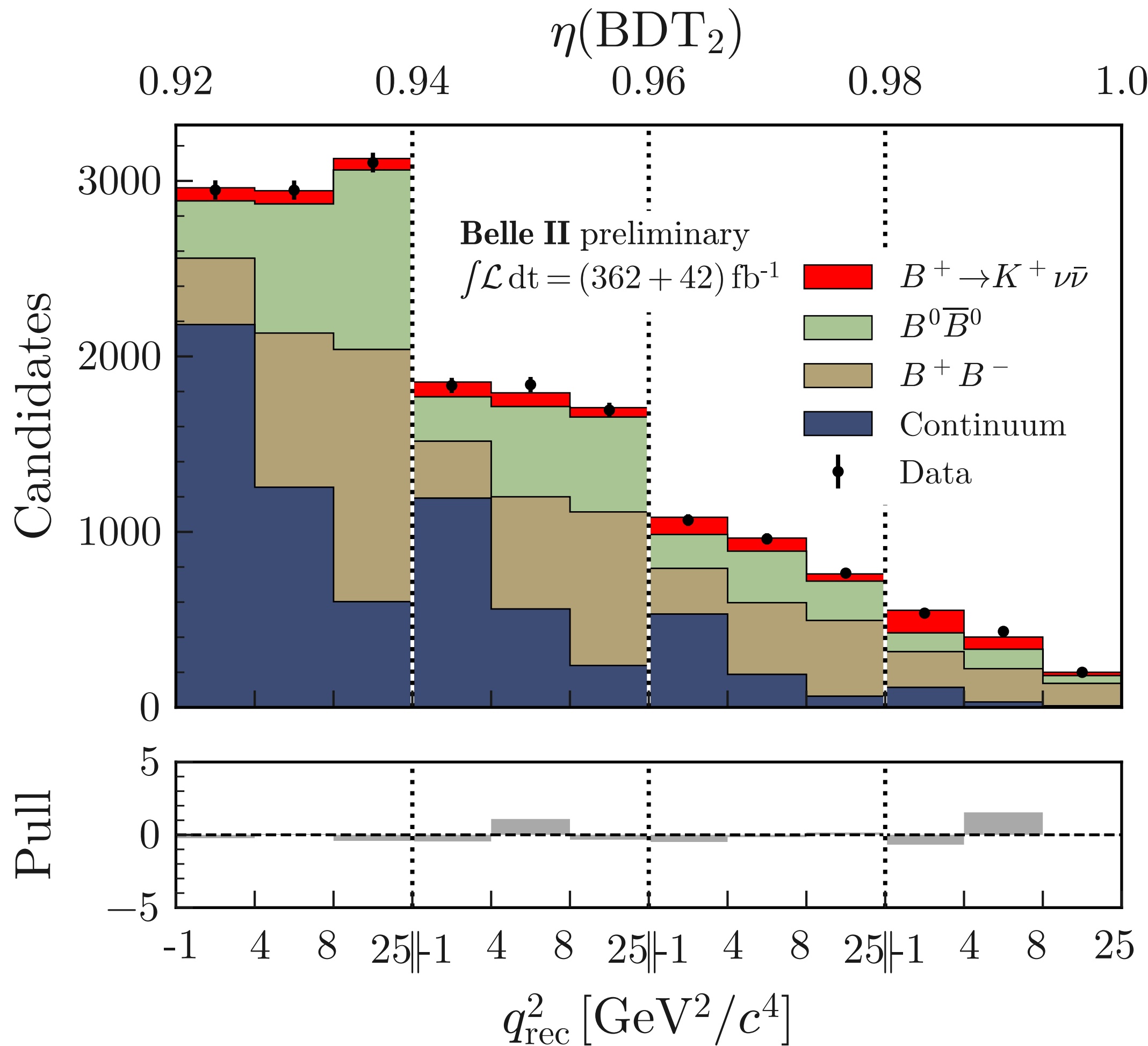
Data-model  $p$ -value: 47%

3.6  $\sigma$  compatibility wrt background-only hypothesis

3.0  $\sigma$  compatibility wrt to the SM

Leading systematic uncertainties:

- background normalisation
- limited size of simulation sample for the fit model
- knowledge of  $B^+ \rightarrow K^+ K_L^0 K_L^0$  decay rate and modelling of  $B \rightarrow D^{**} l \nu$  decays

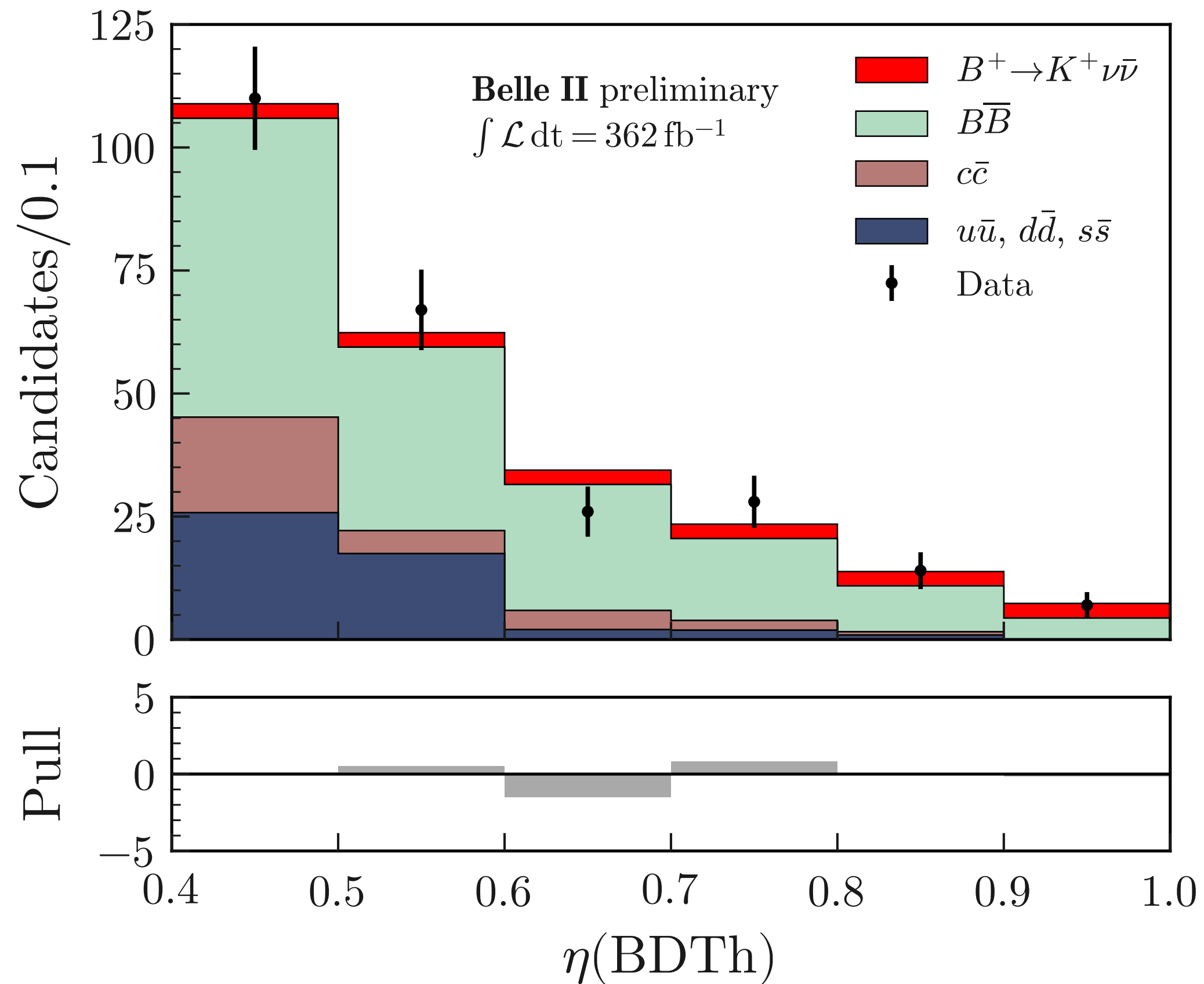


On-resonance data

Figure 15 [arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)

# Results: HTA

Figure 19 [arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)



On-resonance data

$$\mu = 2.2_{-1.7}^{+1.8}(\text{stat})_{-1.1}^{+1.6}(\text{syst})$$

corresponding to

$$\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu}) = [1.1_{-0.8}^{+0.9}(\text{stat})_{-0.5}^{+0.8}(\text{syst})] \times 10^{-5}$$

Data-model  $p$ -value: 61%

1.1  $\sigma$  compatibility wrt background-only hypothesis

0.6  $\sigma$  compatibility wrt to the SM

Leading systematic uncertainties:

- background normalisation
- limited size of simulation sample for the fit model
- mismodelling of extra-photon multiplicity correction



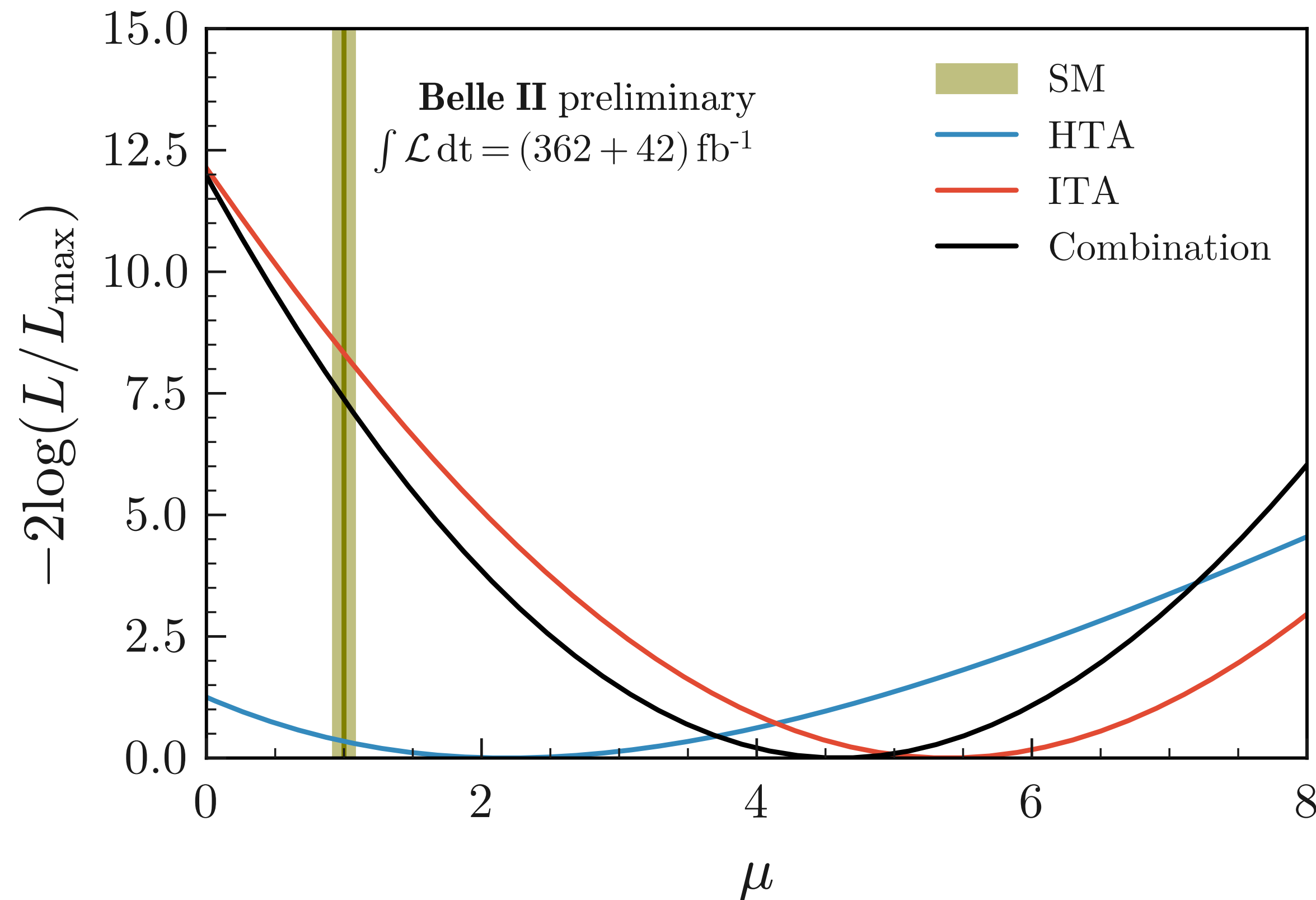
# Combination

## Compatibility between ITA and HTA results at $1.2 \sigma$ :

- Events from the HTA signal region represent only 2% of the signal region ITA

## Perform combination at likelihood level:

- Correlations among common systematic uncertainties included
- Common data events excluded from ITA sample



$$\mu = 4.6 \pm 1.0(\text{stat}) \pm 0.9(\text{syst})$$

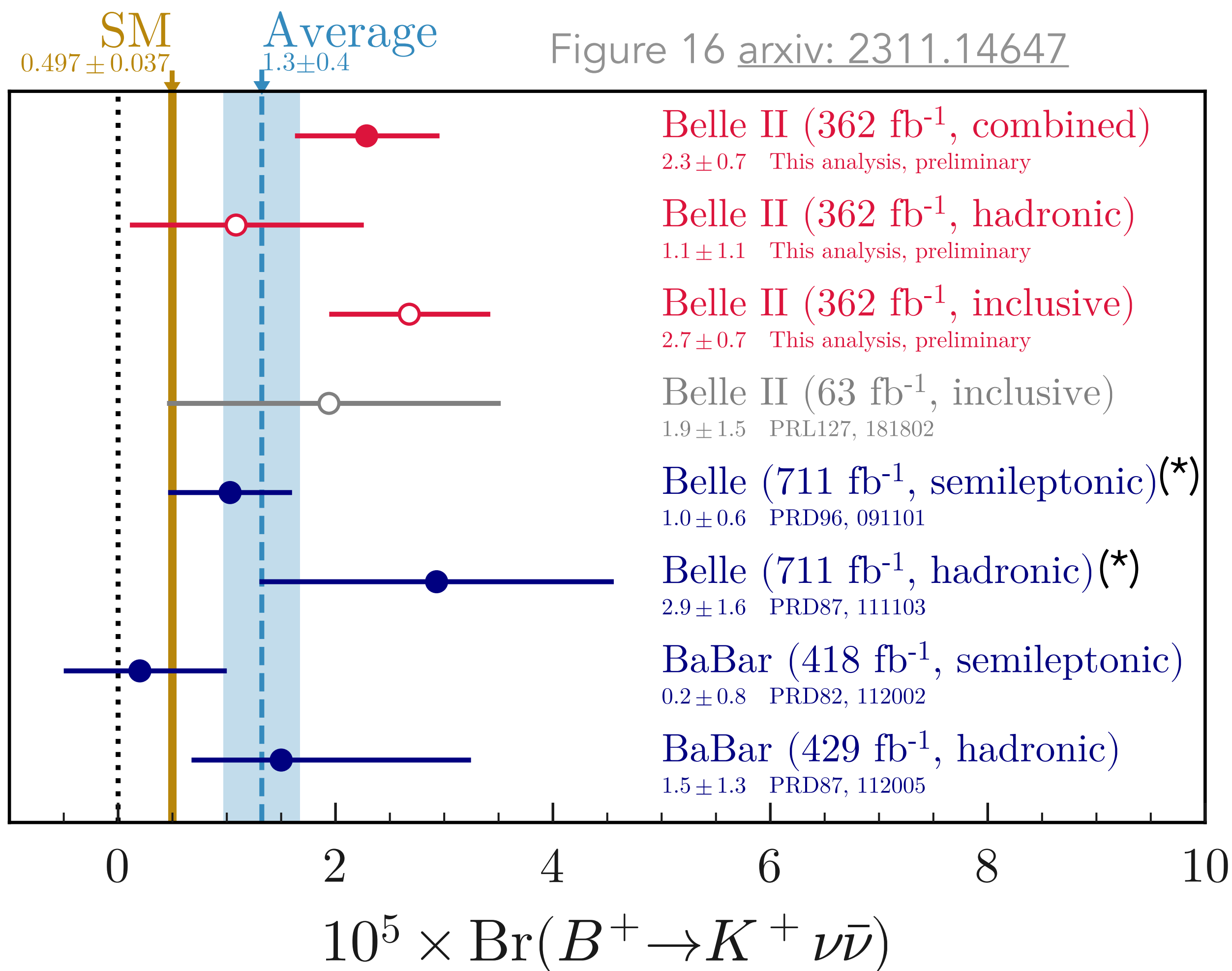
$$\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu}) = [2.3 \pm 0.5(\text{stat})_{-0.4}^{+0.5}(\text{syst})] \times 10^{-5}$$

Combination improves the ITA-only precision by 10%  
 $3.5 \sigma$  significance wrt background-only hypothesis  
 $2.7 \sigma$  significance wrt SM

→ first evidence of the  $B^+ \rightarrow K^+ \nu \bar{\nu}$  process

# $B^+ \rightarrow K^+ \nu \bar{\nu}$ : global picture

Privately produced comparison!



ITA result has some tension with previous semileptonic tag measurements:

- a  $2.3 \sigma$  tension with BaBar
- a  $1.8 \sigma$  tension with Belle

HTA result in agreement with all the previous measurements

Overall compatibility is good:  $\chi^2/ndf = 5.6/5$

(\*) Belle reports upper limits only; branching fractions are estimated using published number of events and efficiency

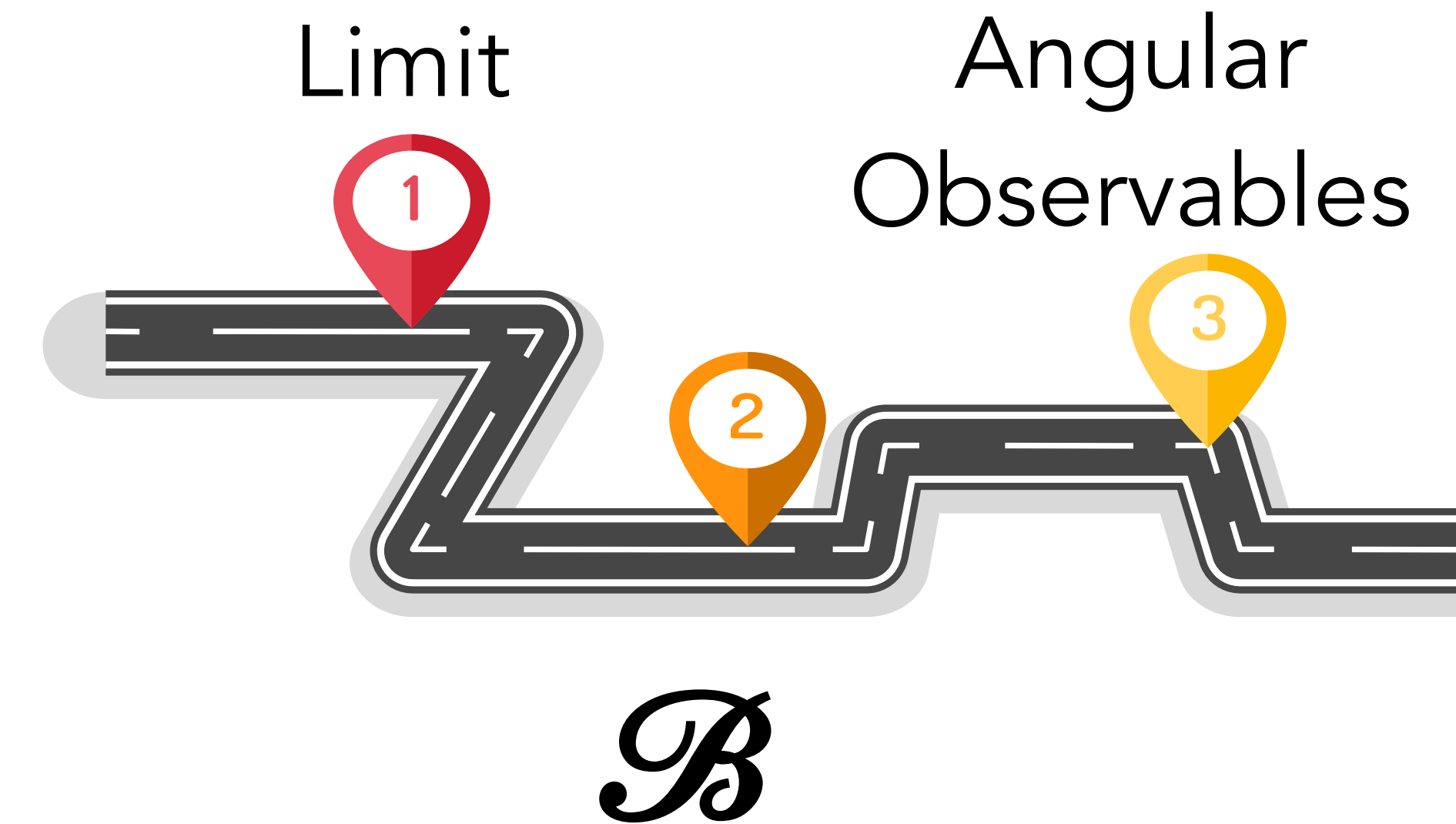
# Future Prospects

## Prospects for $B^+ \rightarrow K^+ \nu \bar{\nu}$ :

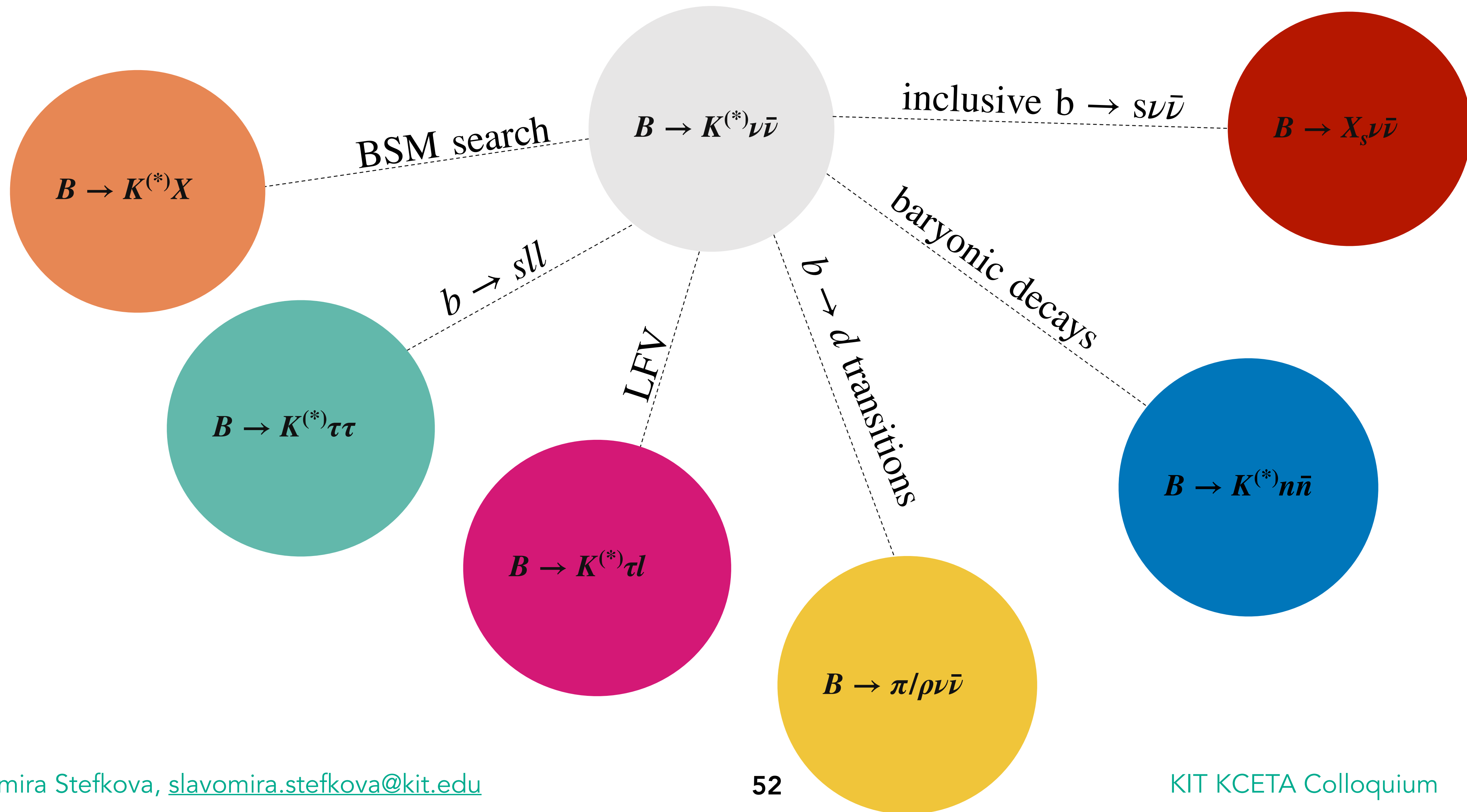
- Analyse bigger datasets
- Improve inclusive and hadronic analysis method
- Employ semileptonic tag reconstruction

## Prospects for $B \rightarrow K^{(*)} \nu \bar{\nu}$ :

- Measure other decay channels
  - $B^+ \rightarrow K^{*+} \nu \bar{\nu} : K^{*+} \rightarrow K^+ \pi^0, K^{*+} \rightarrow K_s^0 \pi^+$
  - $B^0 \rightarrow K^{*0} \nu \bar{\nu} : K^{*0} \rightarrow K_s^0 \pi^0, K^{*0} \rightarrow K^+ \pi^-$
  - $B^0 \rightarrow K_s^0 \nu \bar{\nu}$



# Other Avenues with Invisibles



# Conclusion

## In summary:

- A search for the rare decay  $B^+ \rightarrow K^+ \nu \bar{\nu}$  was performed with first 362 fb<sup>-1</sup>
- The analysis strategy exploited an innovative technique with high sensitivity which allowed to obtain a good precision with a limited dataset
- Furthermore a  $B$ -factory conventional approach was used as support analysis
- The combination of the two analyses results in the

**First evidence for the  $B^+ \rightarrow K^+ \nu \bar{\nu}$  decay,**

**with**

$$\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu}) = [2.3 \pm 0.5(\text{stat})_{-0.4}^{+0.5}(\text{syst})] \times 10^{-5}$$

**constituting**

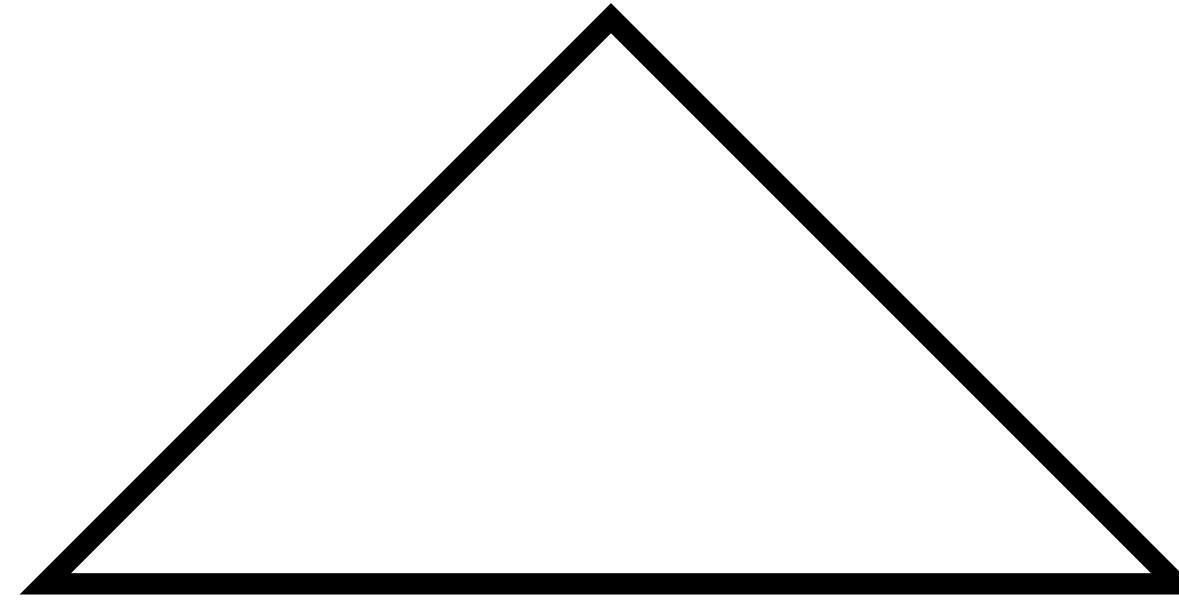
**Only  $2.7\sigma$  consistency with SM**

[arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)

# Backup

# Flavour Anomalies

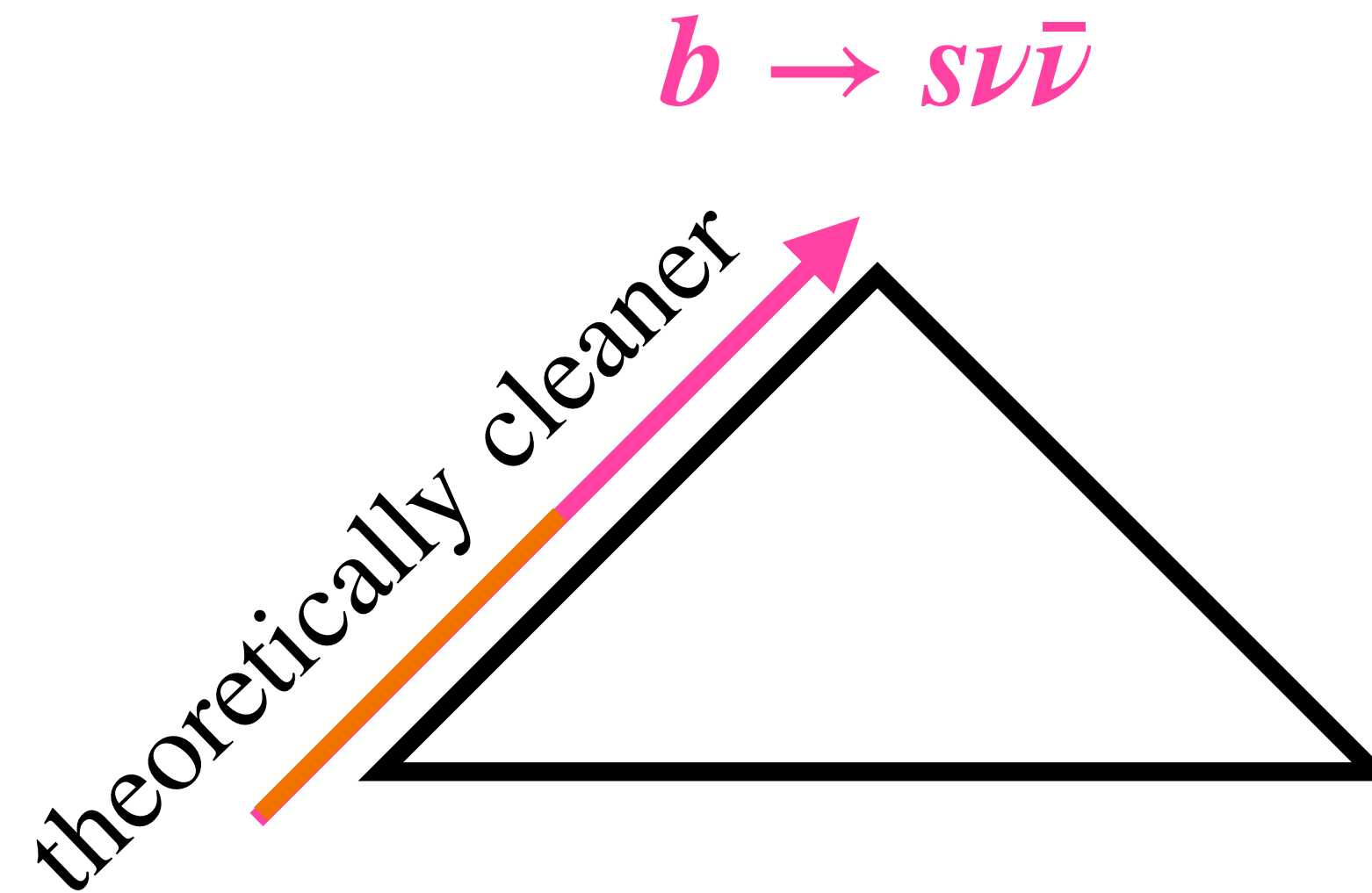
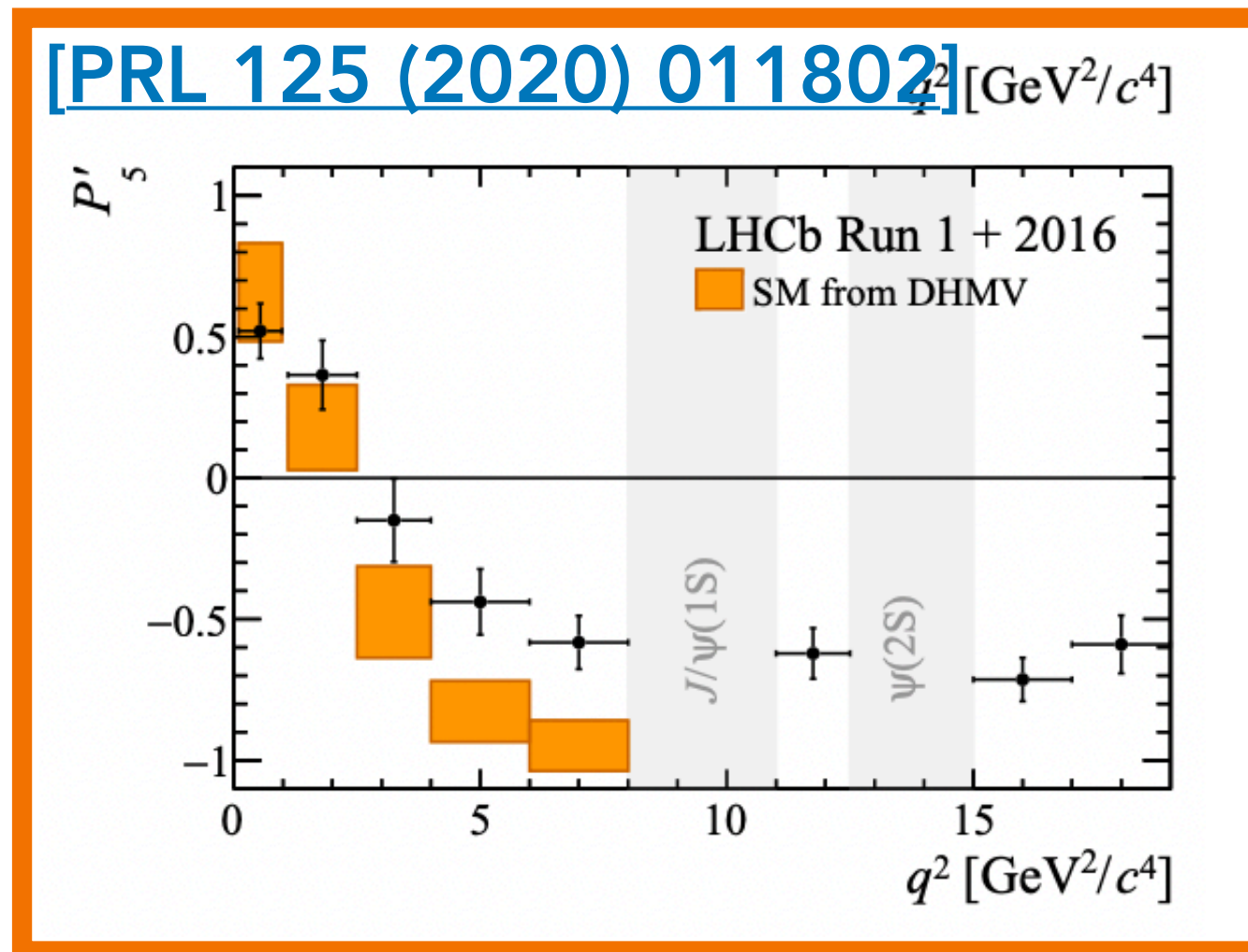
$$b \rightarrow s\nu\bar{\nu}$$



$b \rightarrow s\nu\bar{\nu}$  transitions are correlated to flavour anomalies

# Flavour Anomalies

Anomalies observed in exclusive  $b \rightarrow s\mu^+\mu^-$



Transition  $b \rightarrow s\mu^+\mu^-$

Observable  $P'_5, \mathcal{B}$

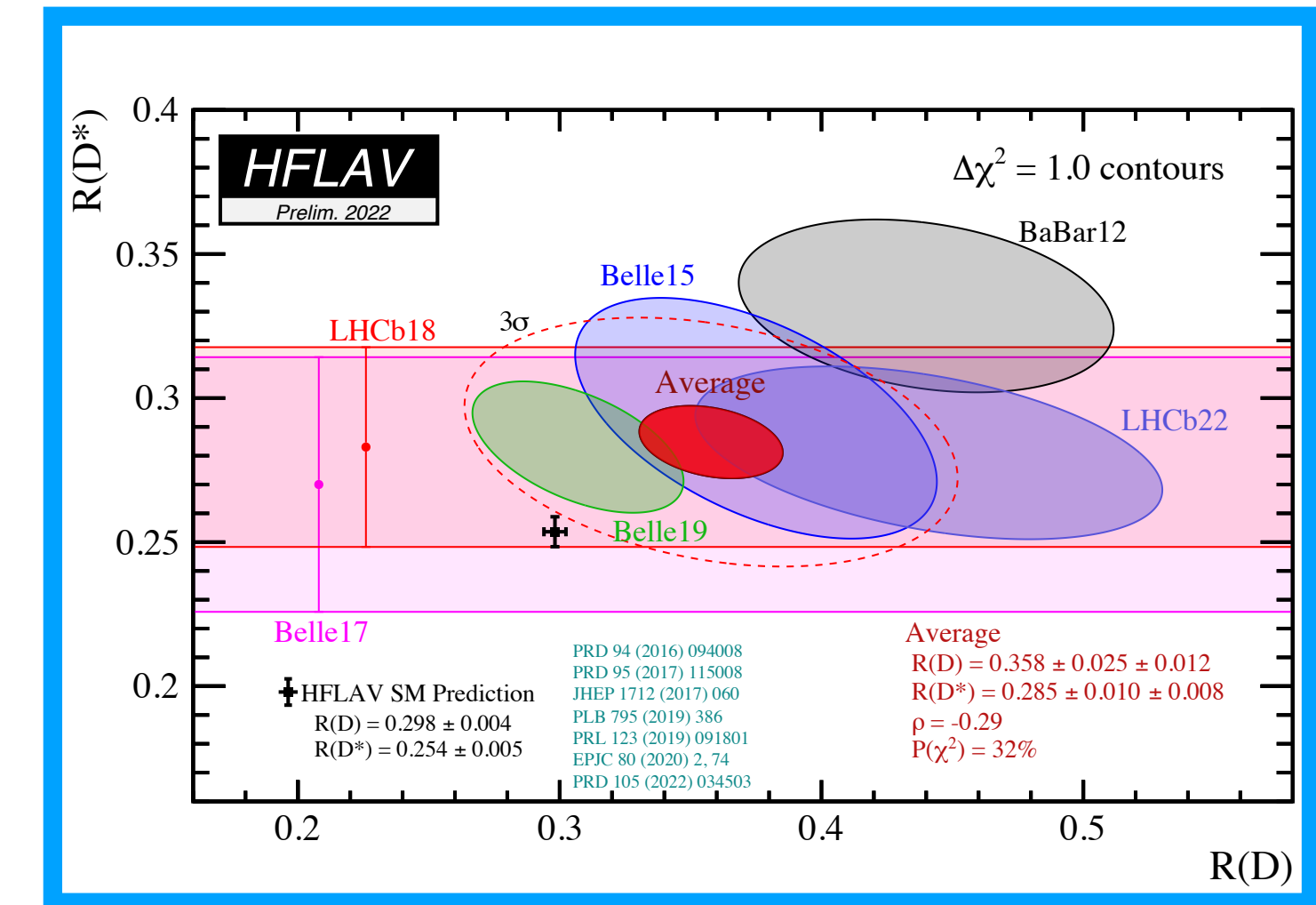
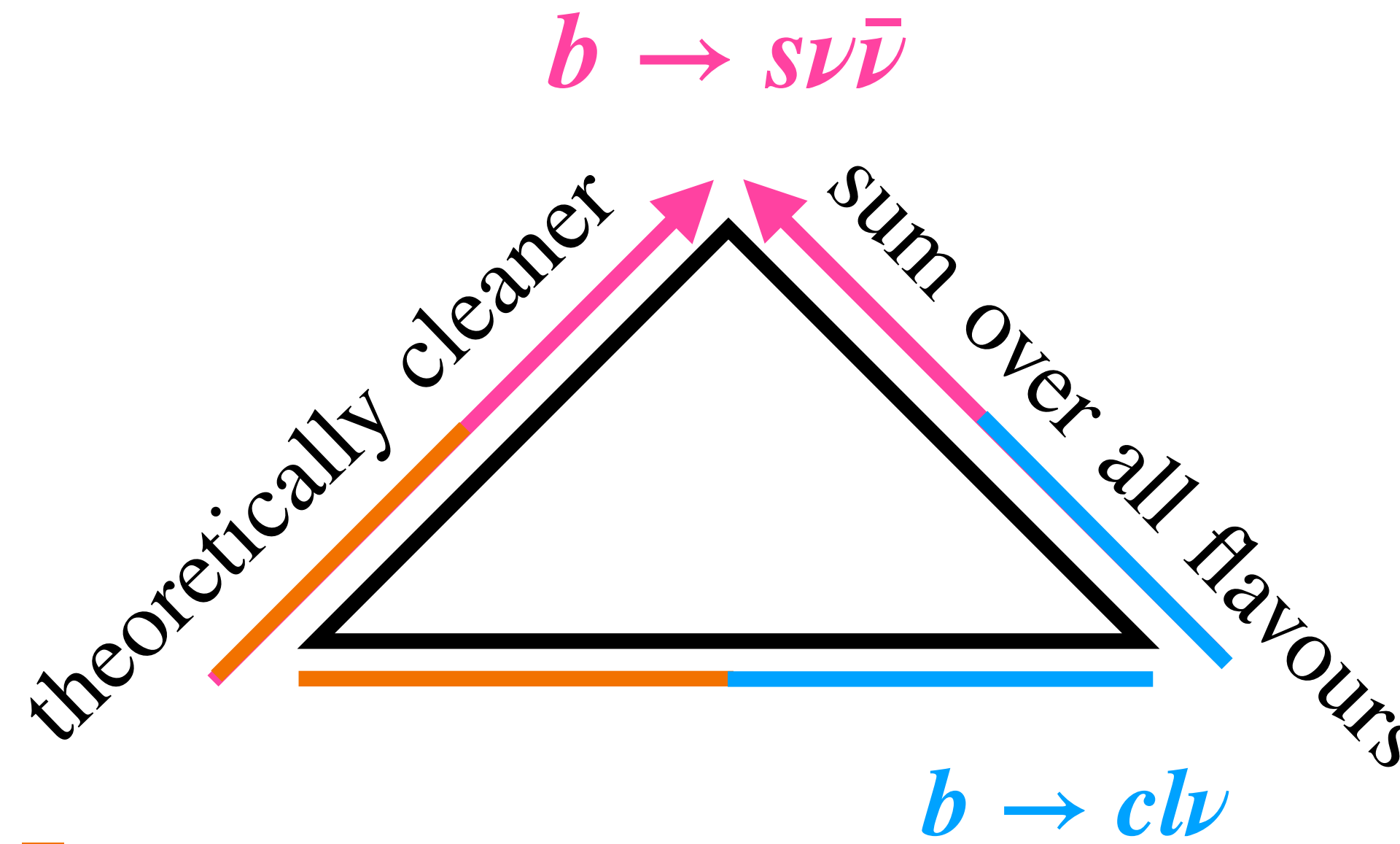
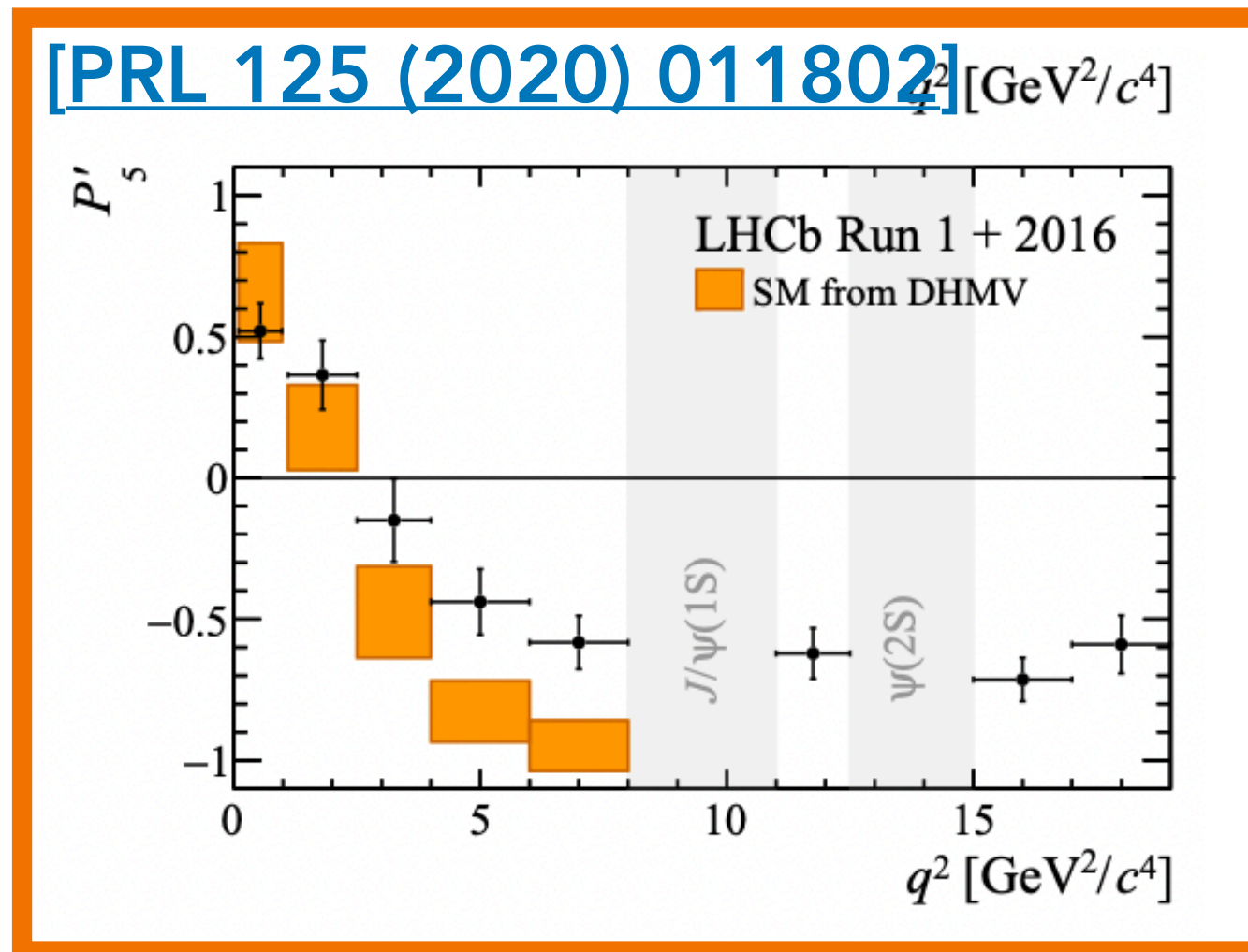
Significance **Above 2.5  $\sigma$**

$b \rightarrow s\nu\bar{\nu}$  transitions are correlated to flavour anomalies



# Flavour Anomalies

Anomalies observed in exclusive  $b \rightarrow s\mu^+\mu^-$  and  $b \rightarrow c\ell\nu$  transitions



Transition  $b \rightarrow s\mu^+\mu^-$

Observable  $P'_5, \mathcal{B}$

Significance Above 2.5  $\sigma$

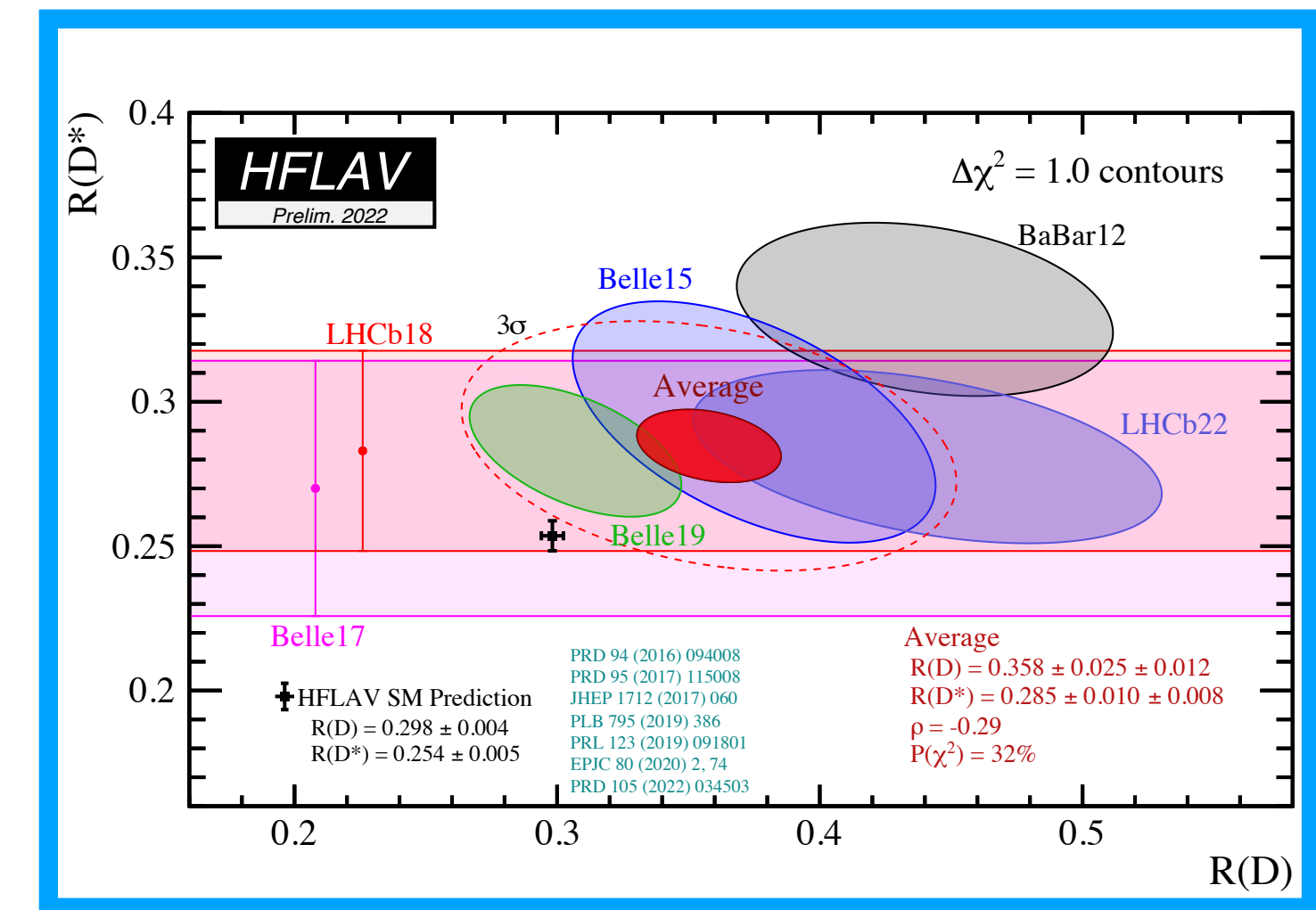
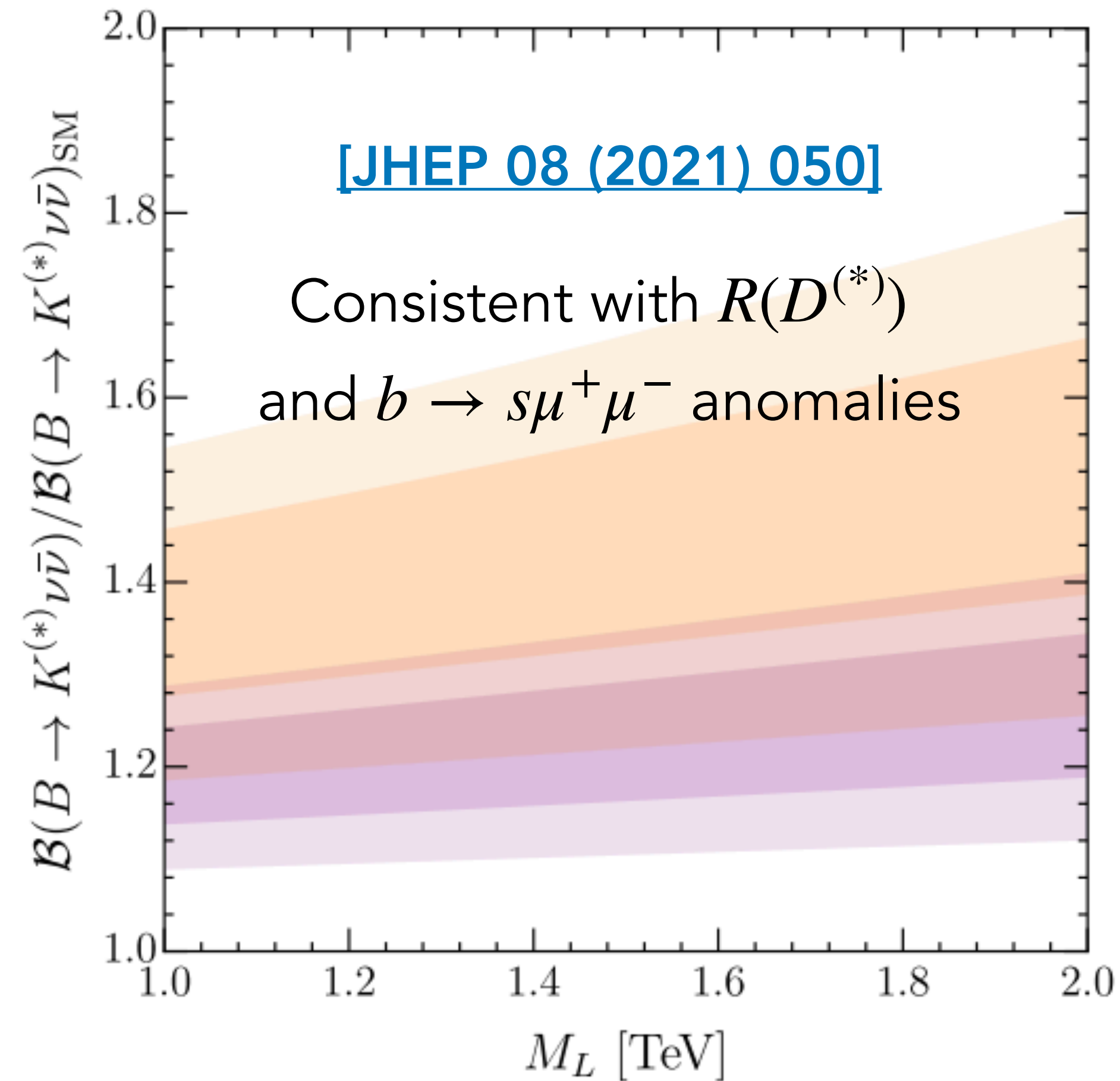
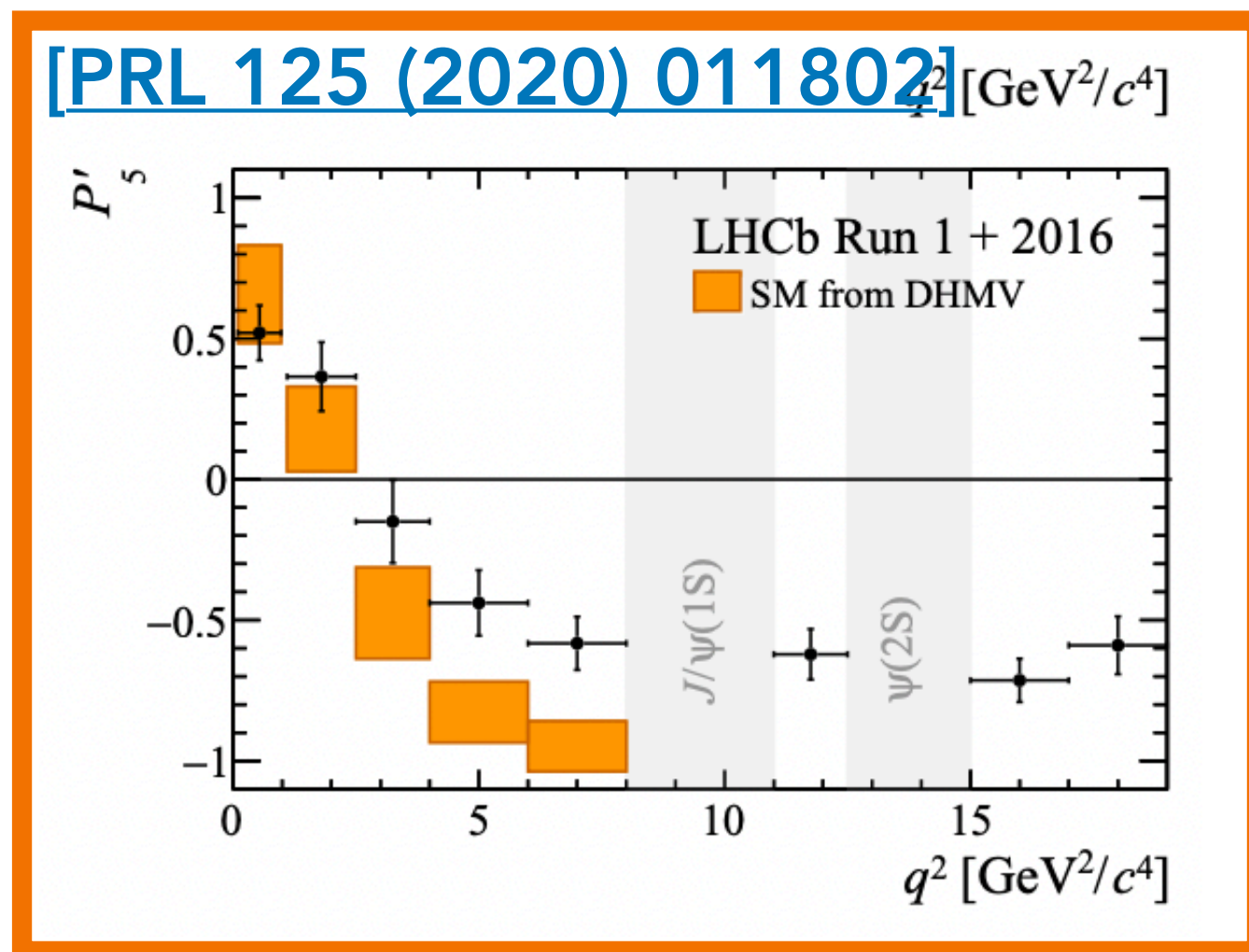
$$R(D^{(*)}) = \frac{\mathcal{B}(B \rightarrow D^{(*)}\tau\nu)}{\mathcal{B}(B \rightarrow D^{(*)}l\nu) \quad (l = e, \mu)}$$

Around 3.0  $\sigma$

$b \rightarrow s\nu\bar{\nu}$  transitions are correlated to flavour anomalies

# Flavour Anomalies

Anomalies observed in exclusive  $b \rightarrow s\mu^+\mu^-$  and  $b \rightarrow c\ell\nu$  transitions



Transition  $b \rightarrow s\mu^+$   
 Observable  $R(D^{(*)})$   
 Significance Above  $3\sigma$

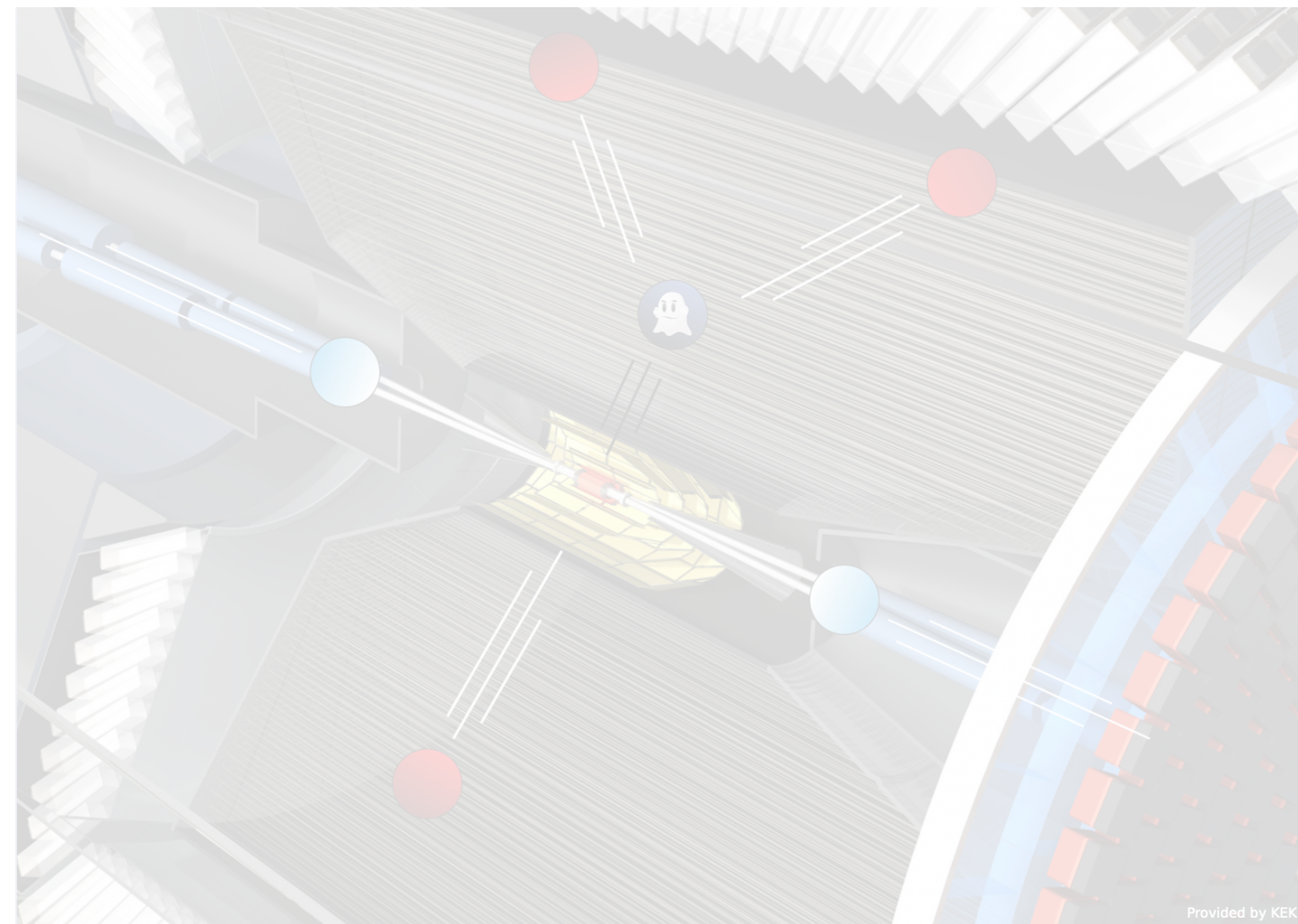
$$\frac{\mathcal{B}(B \rightarrow D^{(*)}\tau\nu)}{\mathcal{B}(B \rightarrow D^{(*)}l\nu)} \quad (l = e, \mu)$$

und  $3.0 \sigma$

$b \rightarrow s\nu\bar{\nu}$  transitions are correlated to flavour anomalies

# Two complimentary research paths

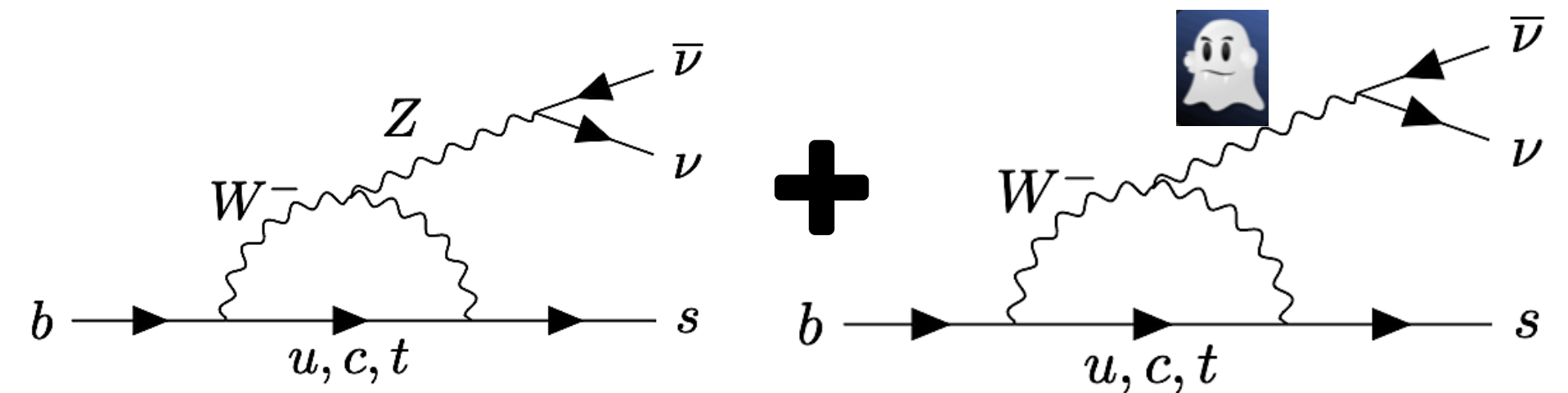
Direct = dedicated searches for NP



$$E = mc^2$$

Mass of the new particle limited by collision energy

Indirect = SM precision measurements



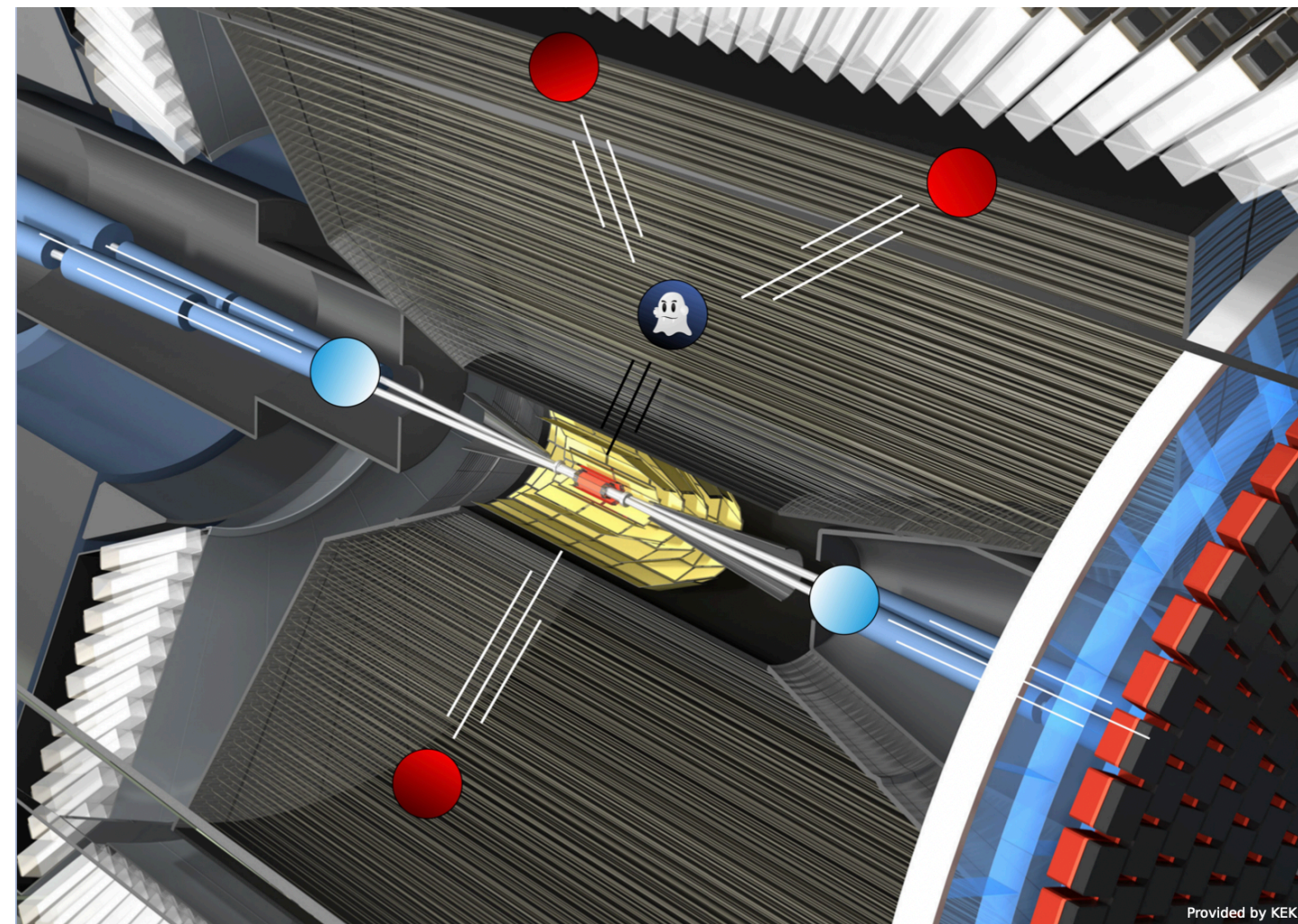
Heisenberg's uncertainty principle:

$$\Delta E \Delta t > \frac{h}{2}$$

Mass of the particle can be very high  
(~ TeV)

# Two complimentary research paths

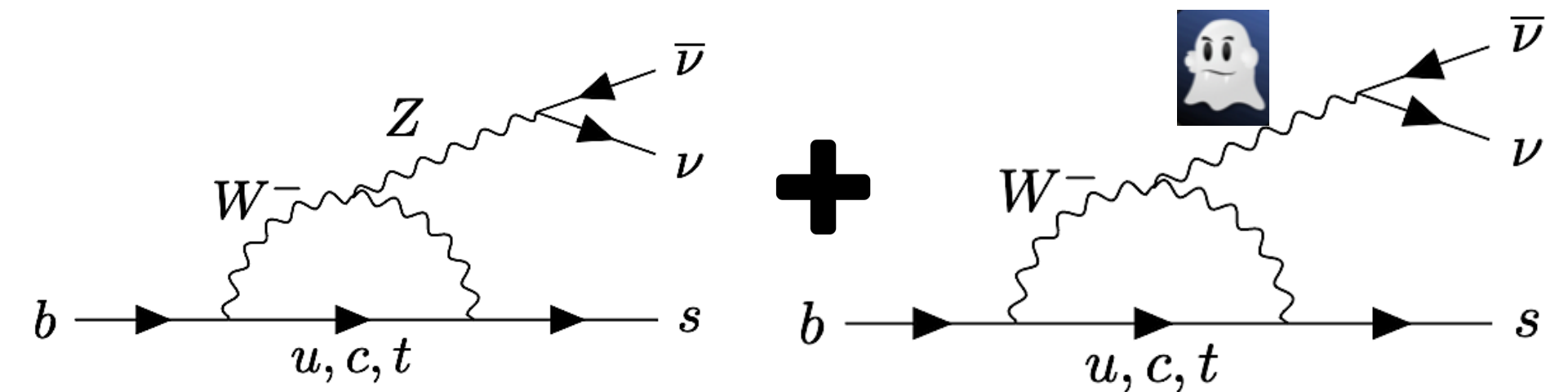
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Mass of the new particle limited by collision energy

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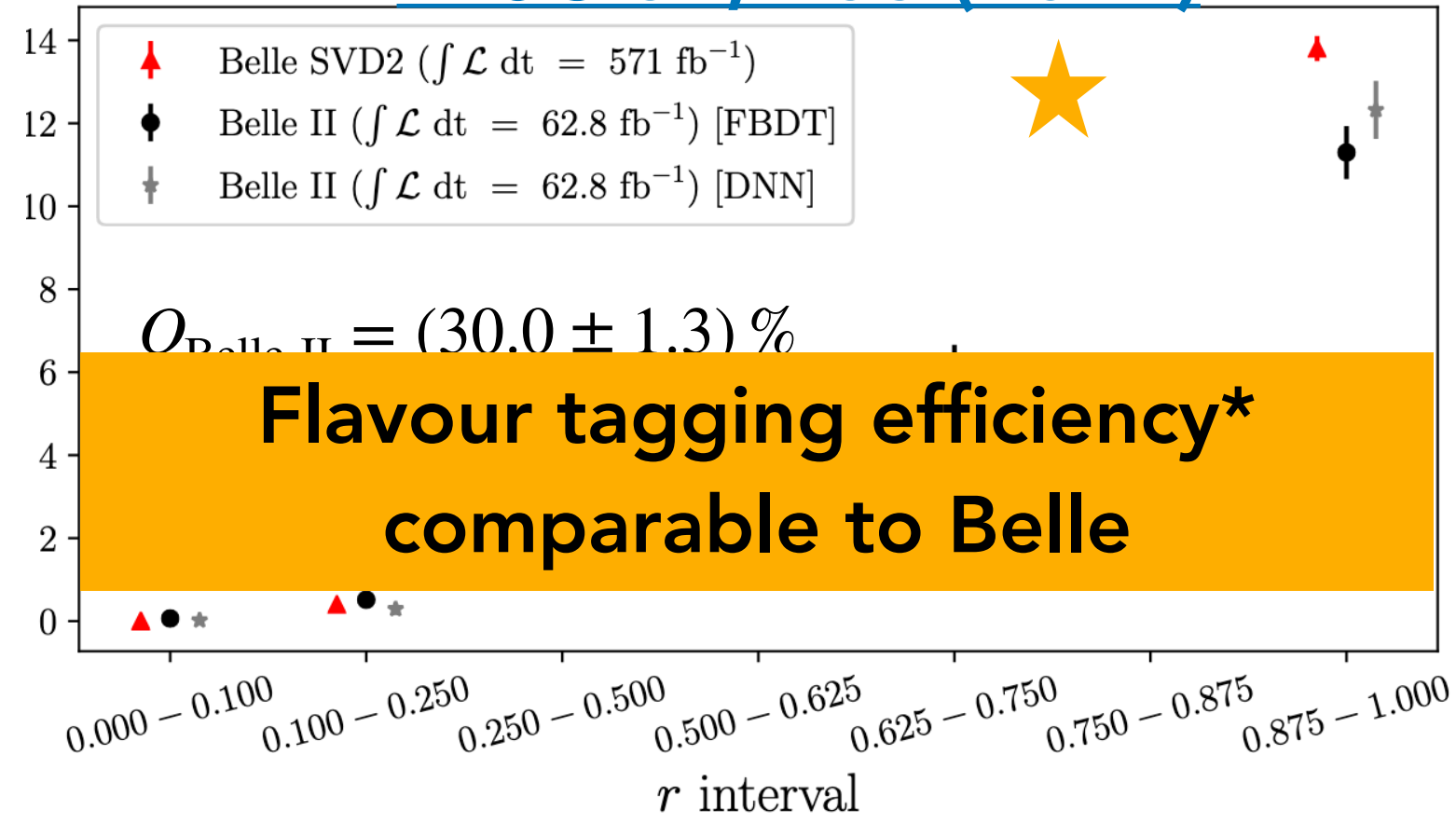
$$\Delta E \Delta t > \frac{h}{2}$$

Mass of the particle can be very high (~  
TeV)

# Belle II Performance

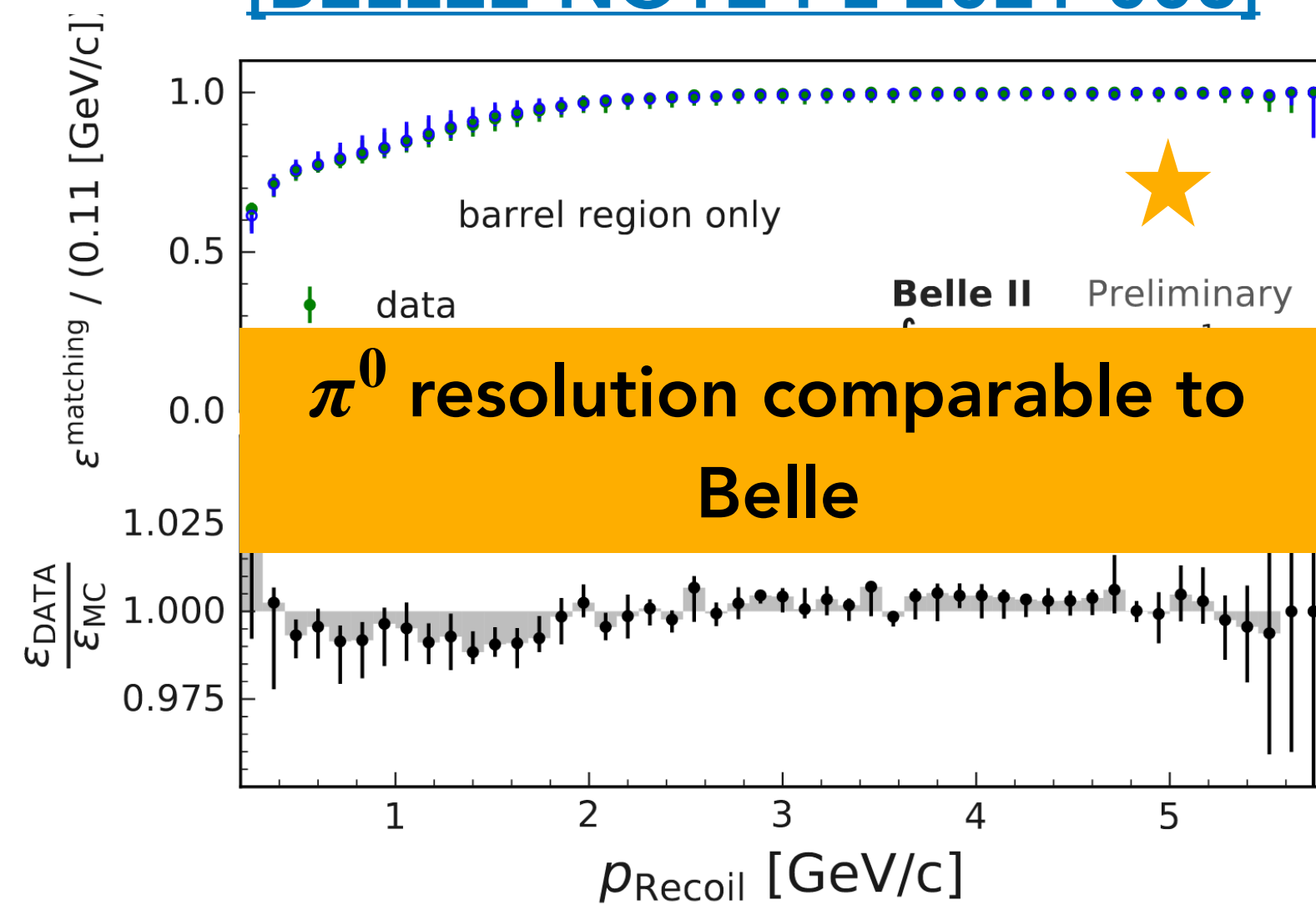
Good flavour tagger performance

EPJC 82, 283 (2022)



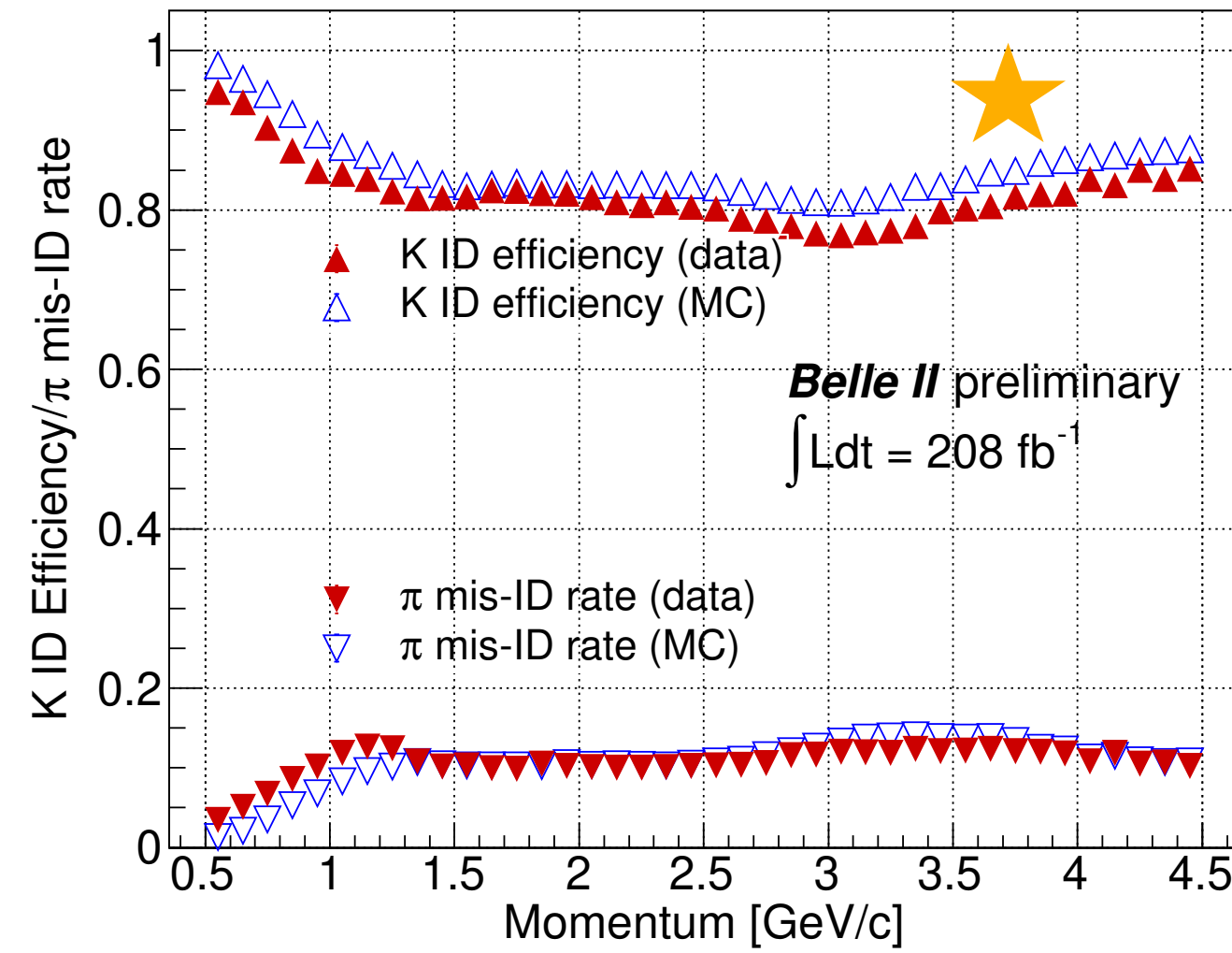
High photon matching efficiency

[BELLE2-NOTE-PL-2021-008]

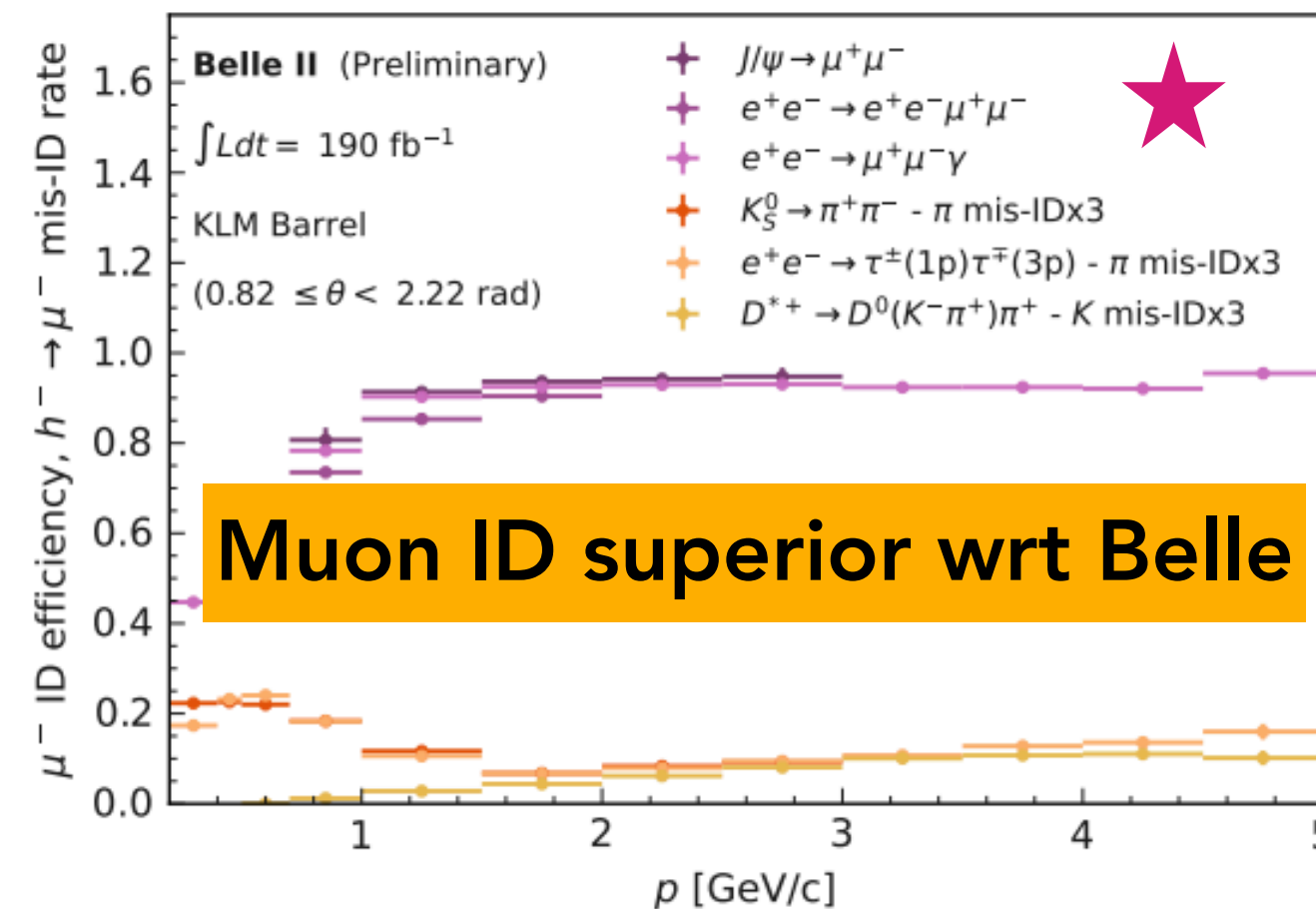


Good particle identification

[BELLE2-NOTE-PL-2020-024]



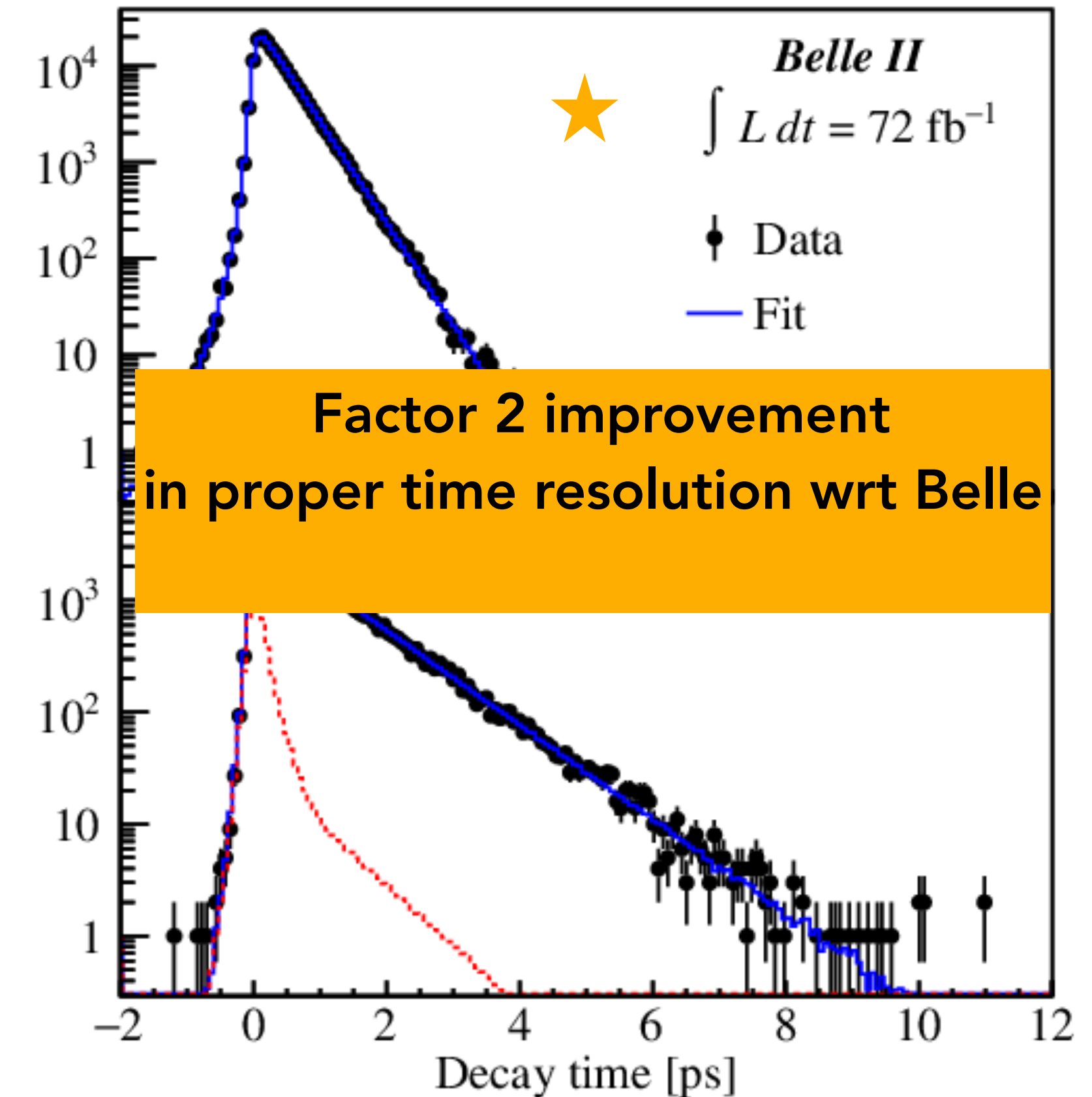
[BELLE2-NOTE-PL-2022-003]



Most precise measurement of

D lifetimes

PRL 127, 211801 (2021)



# Reconstruction Techniques

## Efficiency

$\epsilon \sim 0.1 - 1\%$

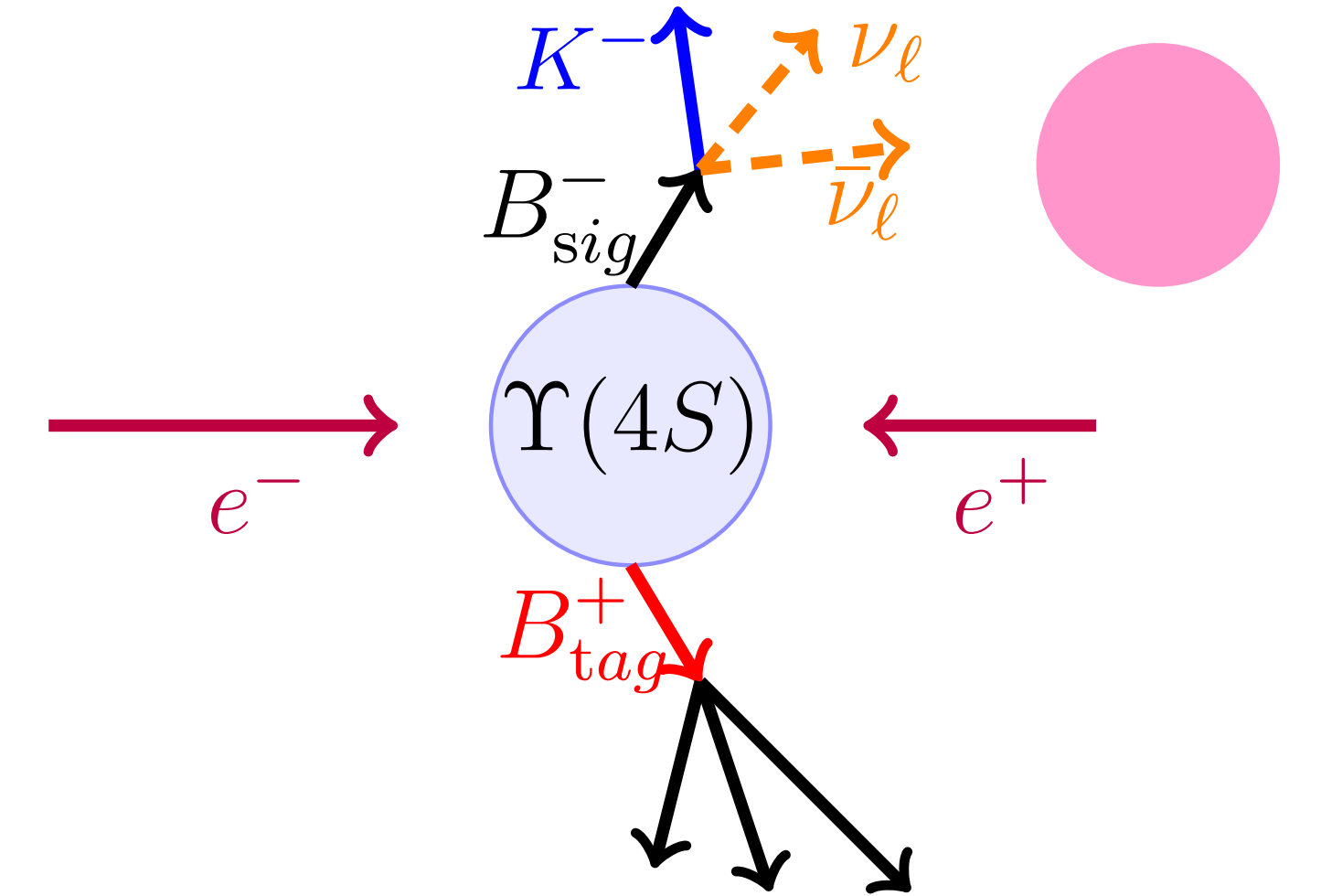
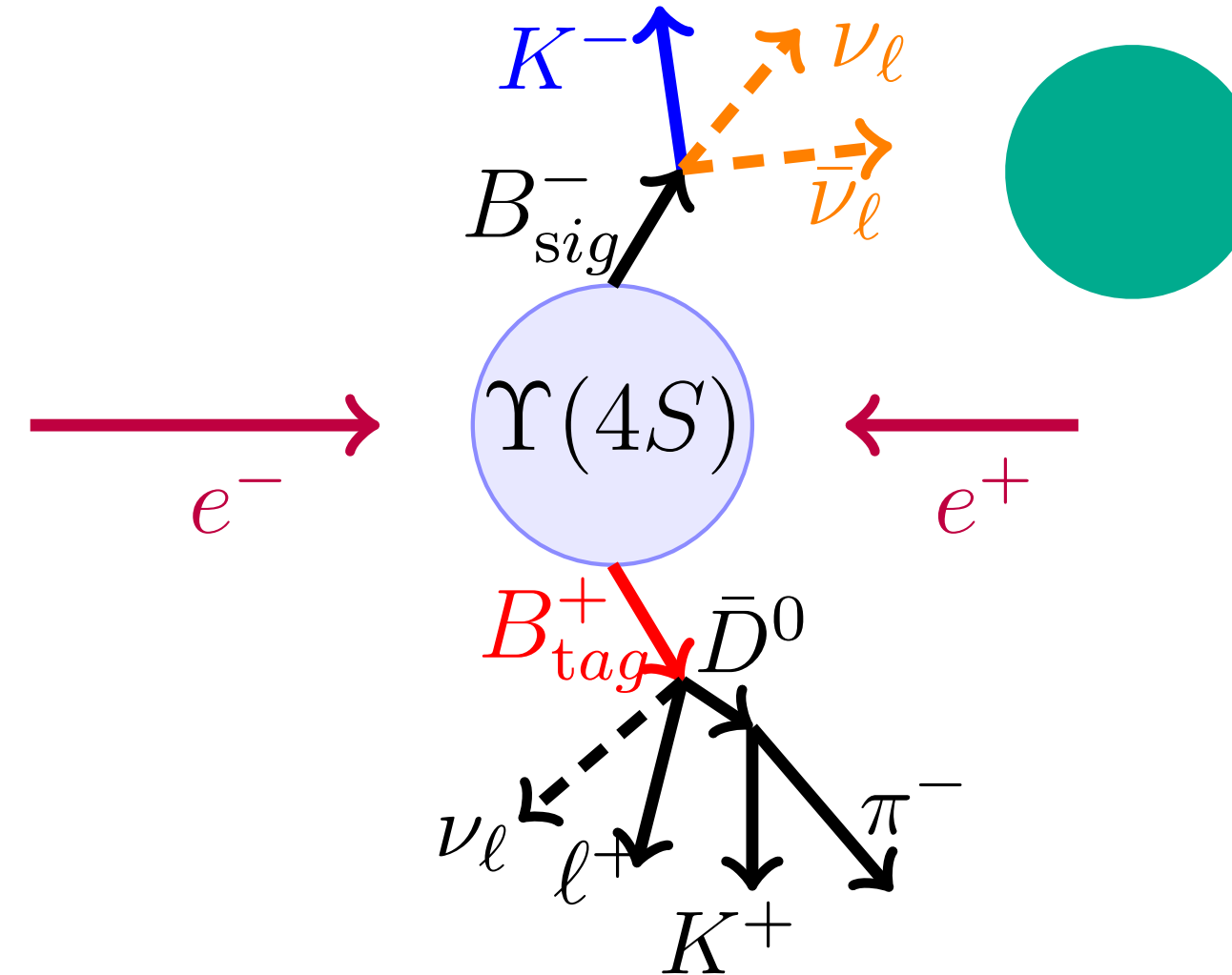
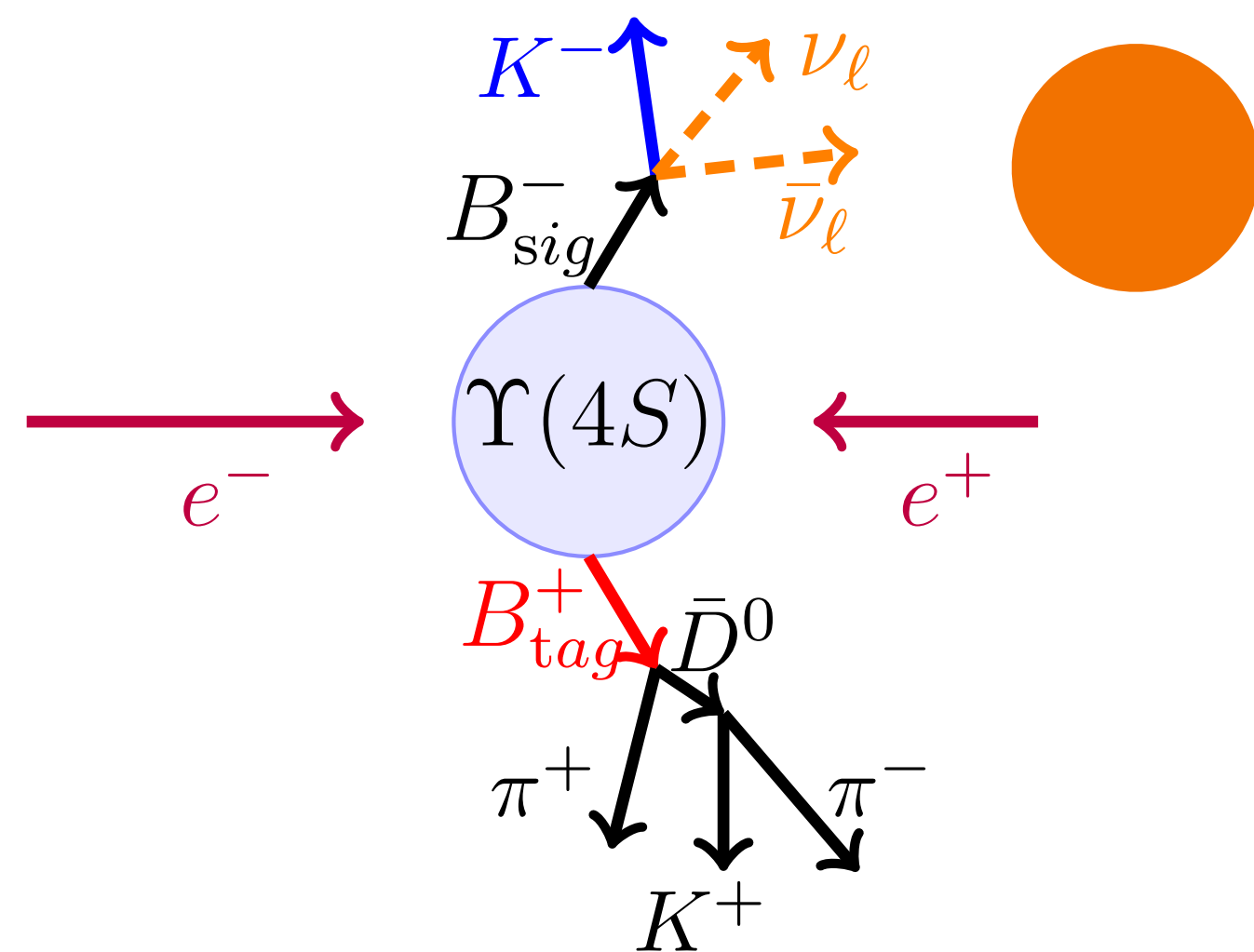
$\epsilon \sim 1 - 3\%$

$\epsilon \sim 1 - 100\%$

Exclusive hadronic (HAD)

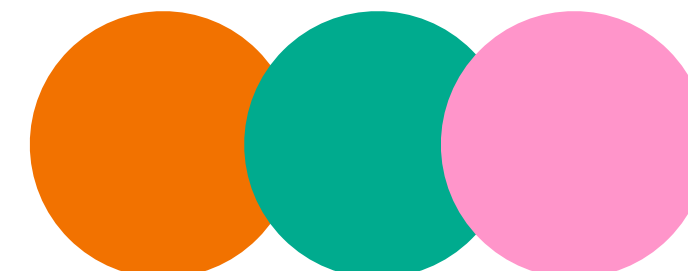
Exclusive semileptonic

Inclusive (ITA)

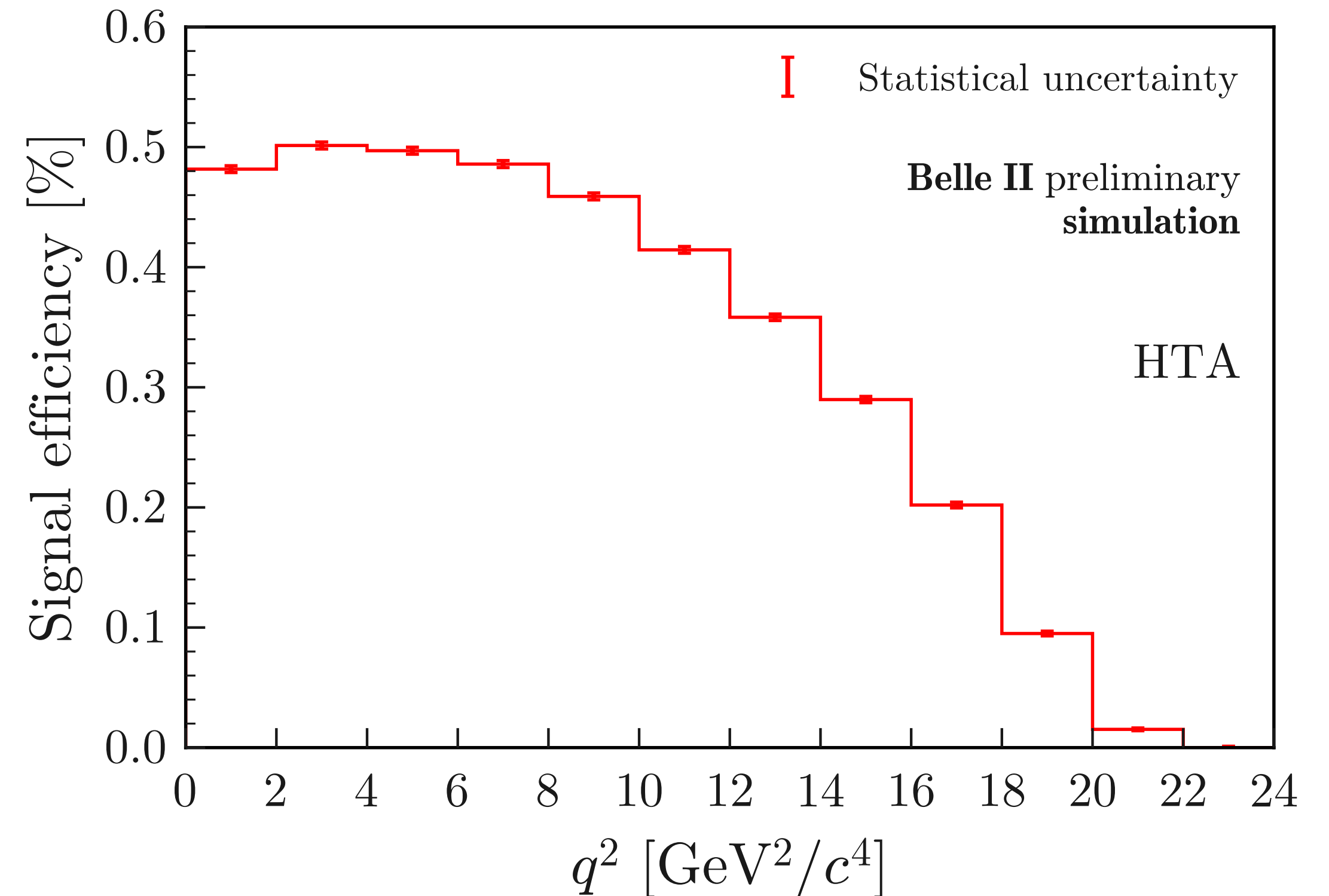
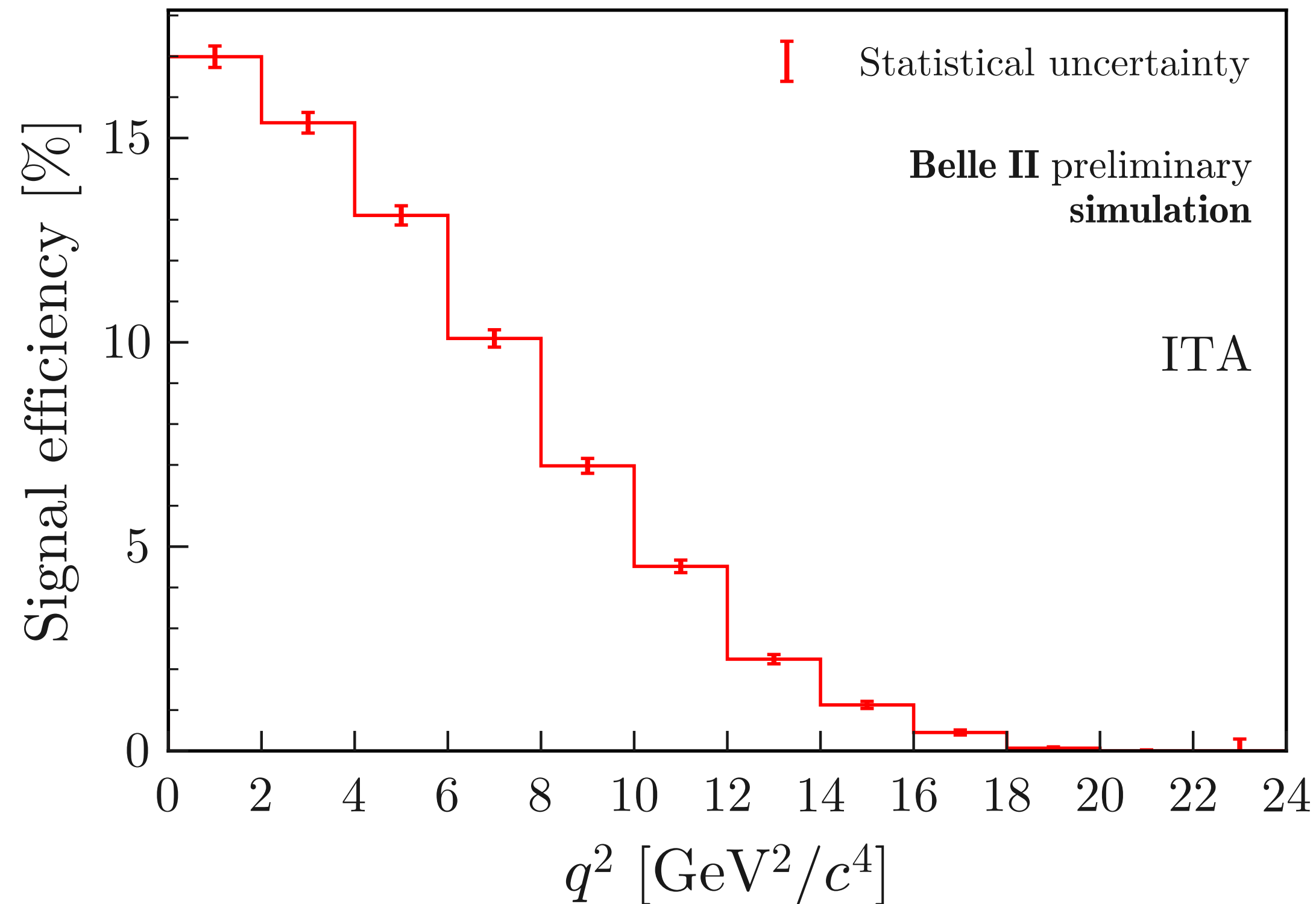


## Purity, Resolution

Different reconstruction techniques lead to nearly orthogonal data samples



# Selection Efficiency as a fn. $q^2$



**HTA** much lower efficiency w.r.t. **ITA** analysis, but a smaller variation in  $q^2$

[arxiv: 2311.14647](https://arxiv.org/abs/2311.14647)

# Selection efficiency

Selection stage	$\epsilon$ inclusive tag analysis	$\epsilon$ hadronic tag analysis ( $\times 10^{-2}$ )
Hadronic FEI skim	-	$2.482 \pm 0.002$
Object selection (acceptance)	0.89	-
Signal candidate selection	0.55	-
First signal candidate selection	0.53	-
Basic event selection	0.41	$0.6598 \pm 0.0011$
BDT <sub>1</sub> filter	0.34	-
Signal search region	0.08	$0.3996 \pm 0.0009$
Highest purity signal search region	0.02	-

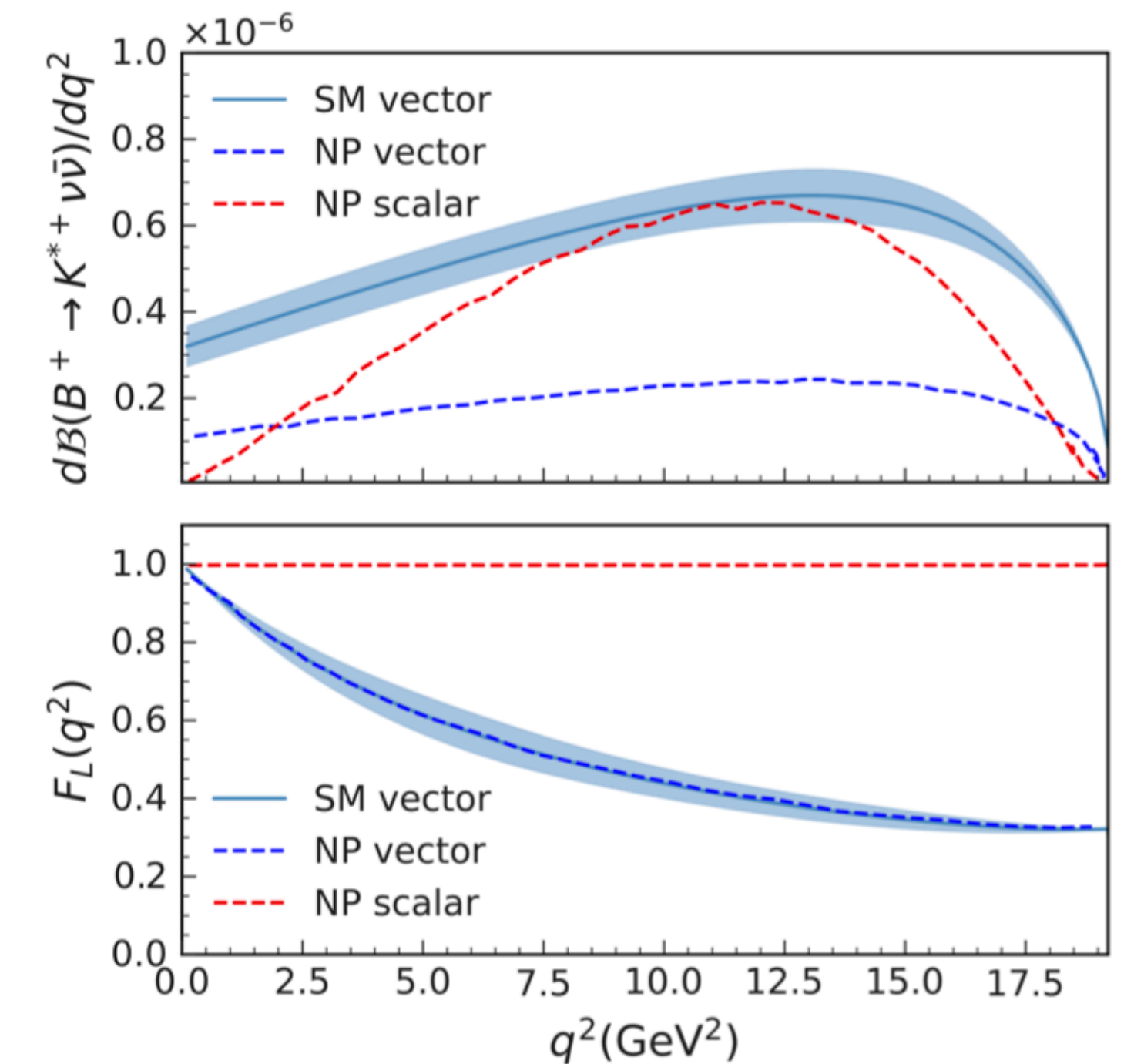
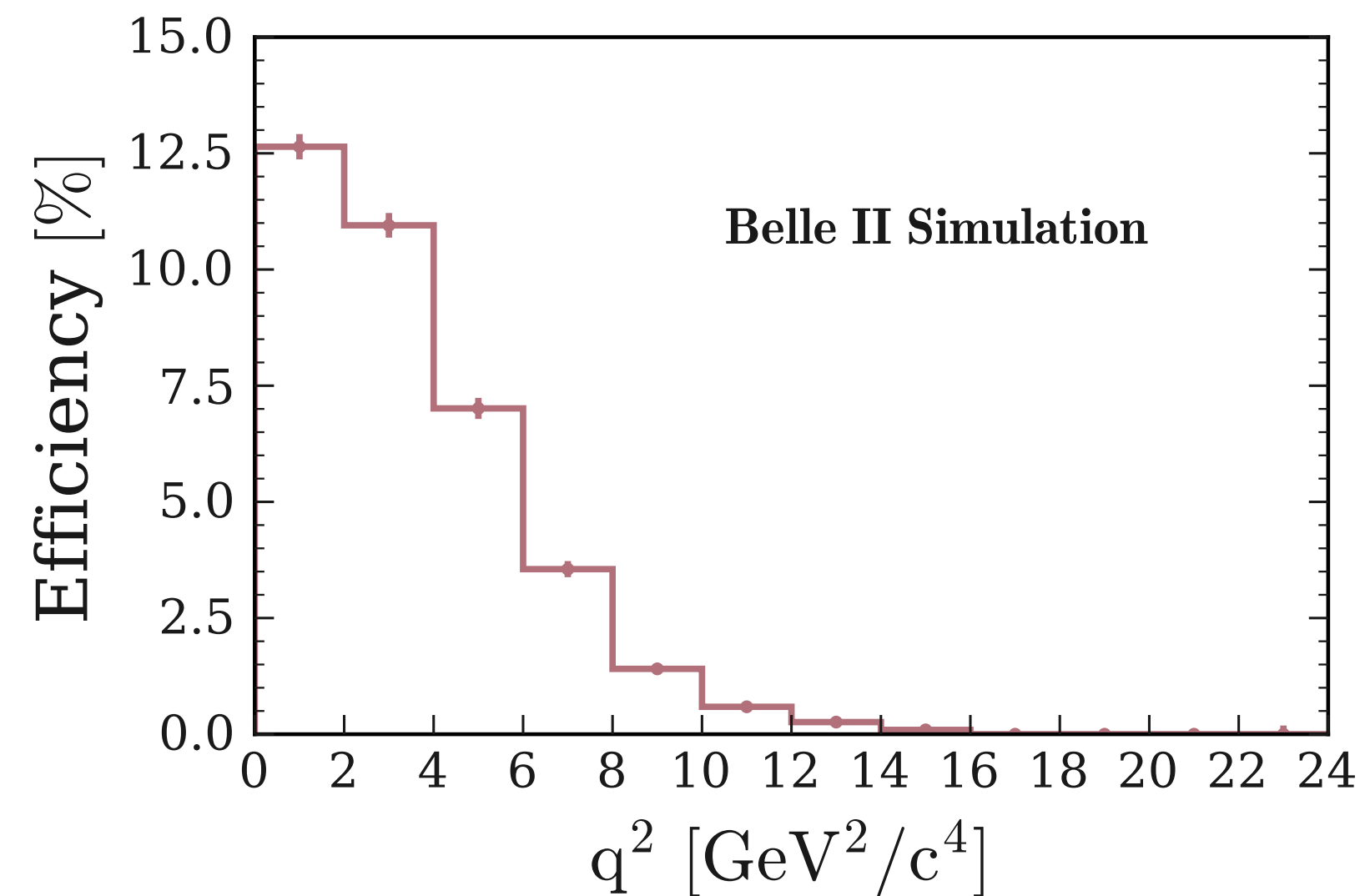
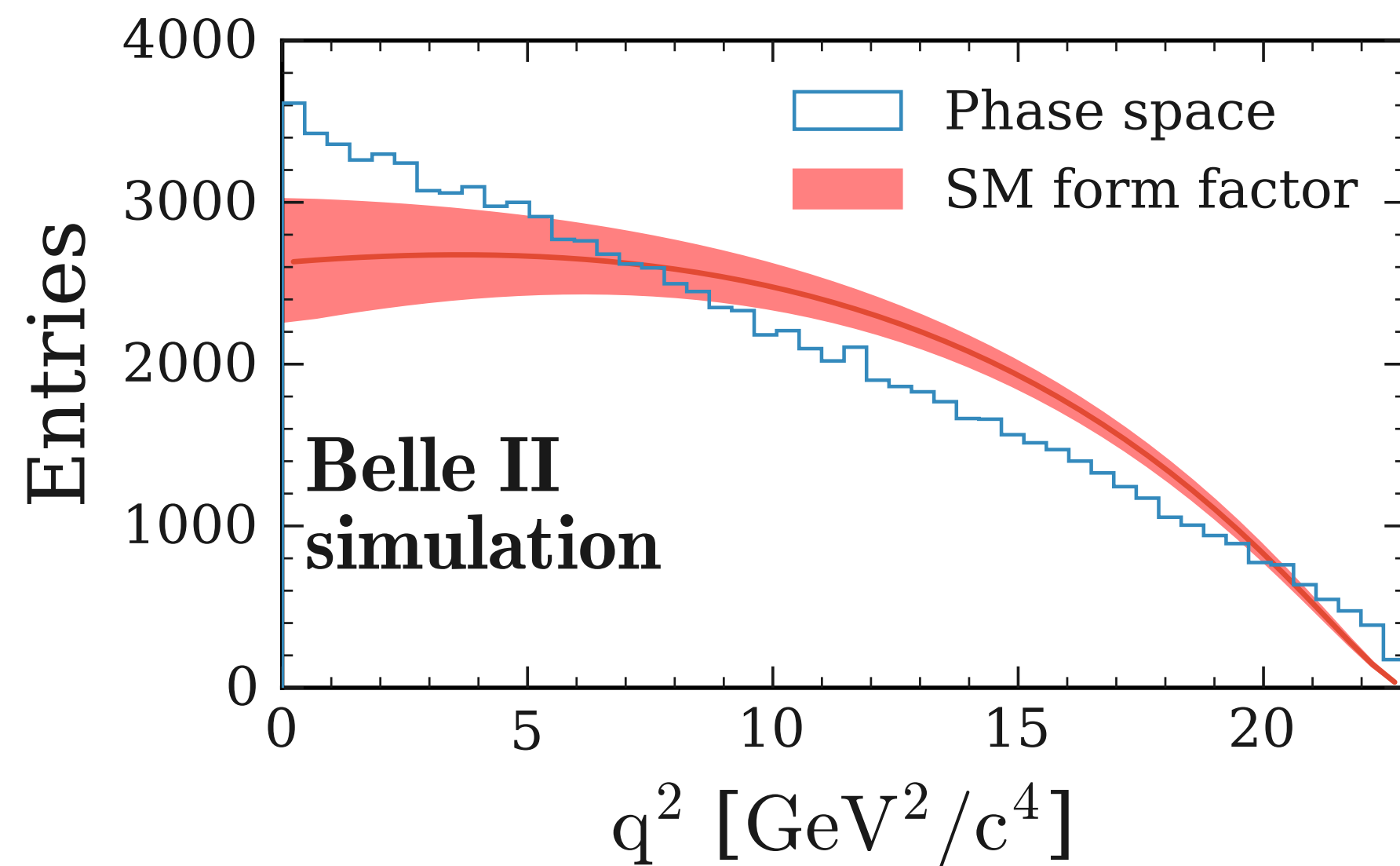


# $q^2$ distribution

[PRL 127, 181802 (2021)]

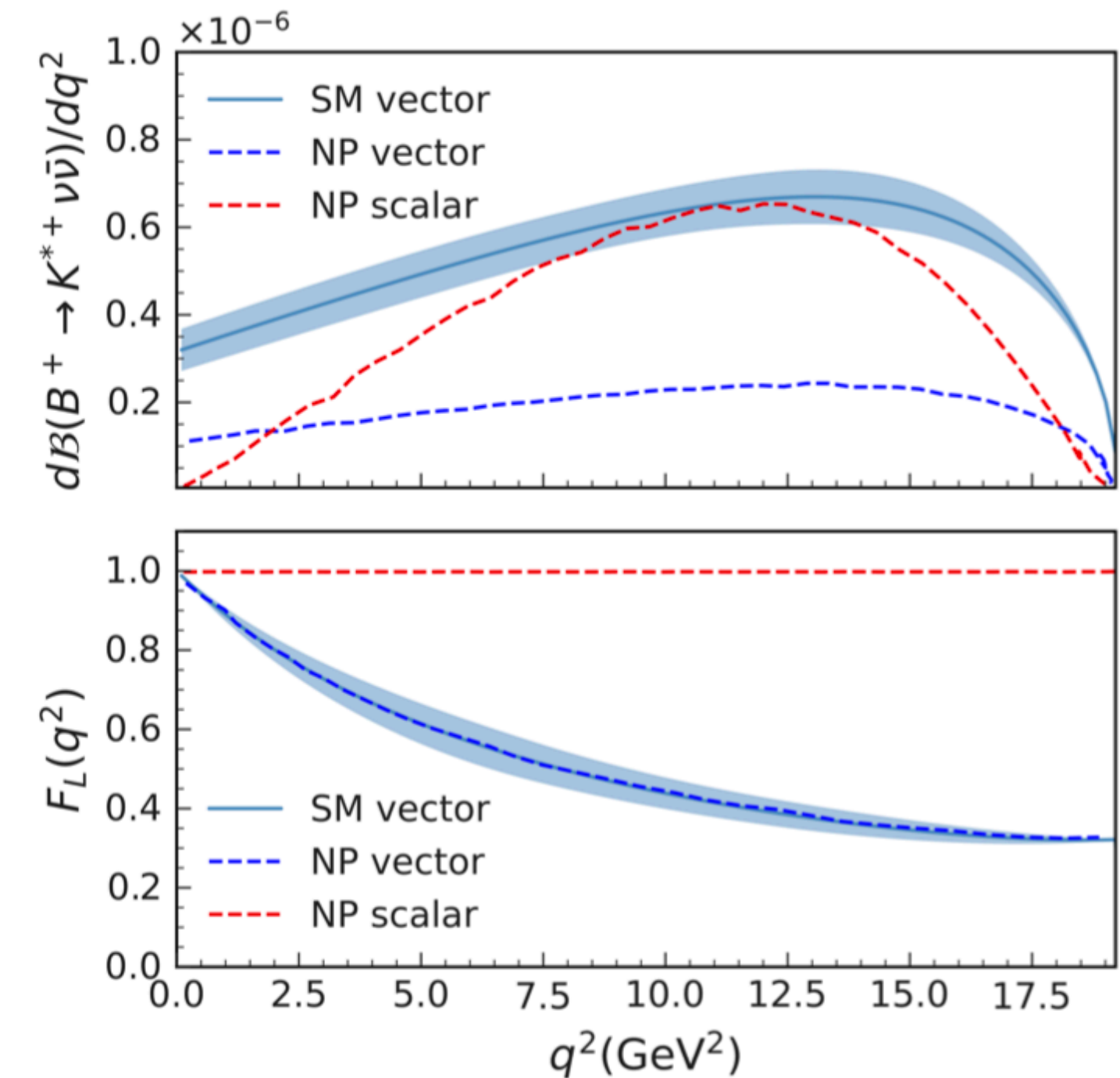


- Default signal model → PHSP model with SM form factor reweighting [arXiv:1409.4557]
- At low  $q^2$  maximum signal efficiency of 13%
- No sensitivity for  $q^2 > 16 \text{ GeV}^2/c^2$



# $F_L$ Polarisation Fraction

Observables	Belle $0.71 \text{ ab}^{-1}$ ( $0.12 \text{ ab}^{-1}$ )	Belle II $5 \text{ ab}^{-1}$	Belle II $50 \text{ ab}^{-1}$
$\text{Br}(B^+ \rightarrow K^+ \nu \bar{\nu})$	$< 450\%$	30%	11%
$\text{Br}(B^0 \rightarrow K^{*0} \nu \bar{\nu})$	$< 180\%$	26%	9.6%
$\text{Br}(B^+ \rightarrow K^{*+} \nu \bar{\nu})$	$< 420\%$	25%	9.3%
$F_L(B^0 \rightarrow K^{*0} \nu \bar{\nu})$	–	–	0.079
$F_L(B^+ \rightarrow K^{*+} \nu \bar{\nu})$	–	–	0.077
$\text{Br}(B^0 \rightarrow \nu \bar{\nu}) \times 10^6$	$< 14$	$< 5.0$	$< 1.5$
$\text{Br}(B_s \rightarrow \nu \bar{\nu}) \times 10^5$	$< 9.7$	$< 1.1$	–



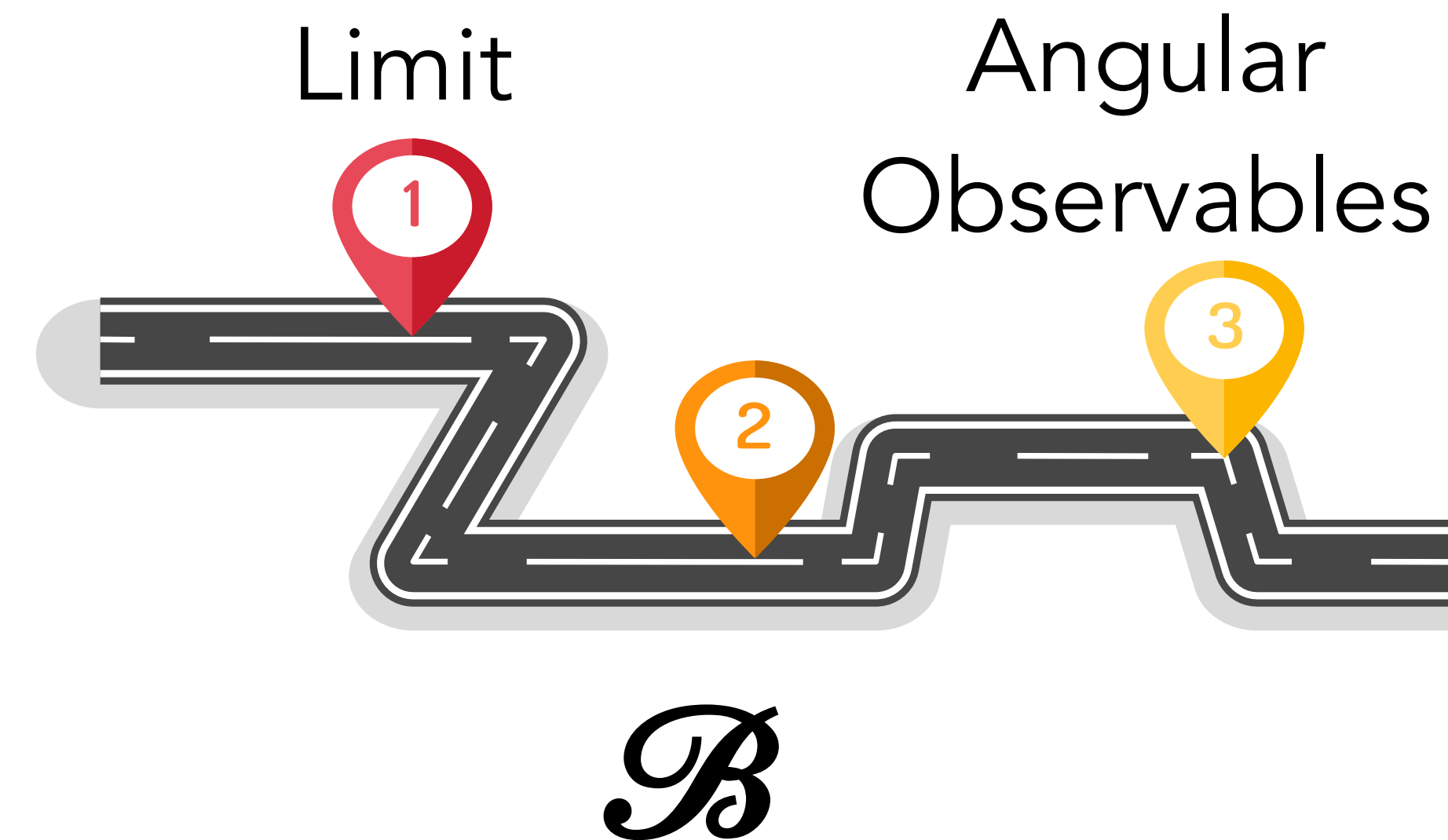
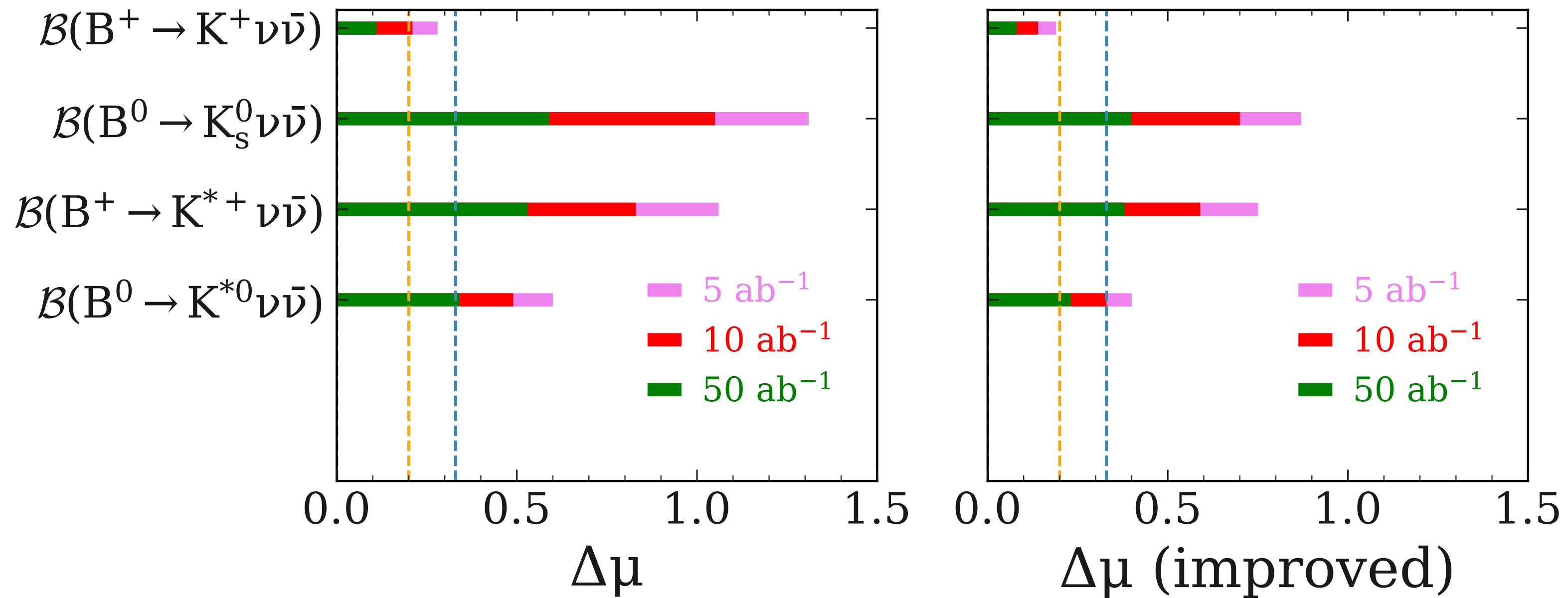
- Angle between B and K from  $K^*$  decays

# Uncertainty on the Signal Strength $\mu$

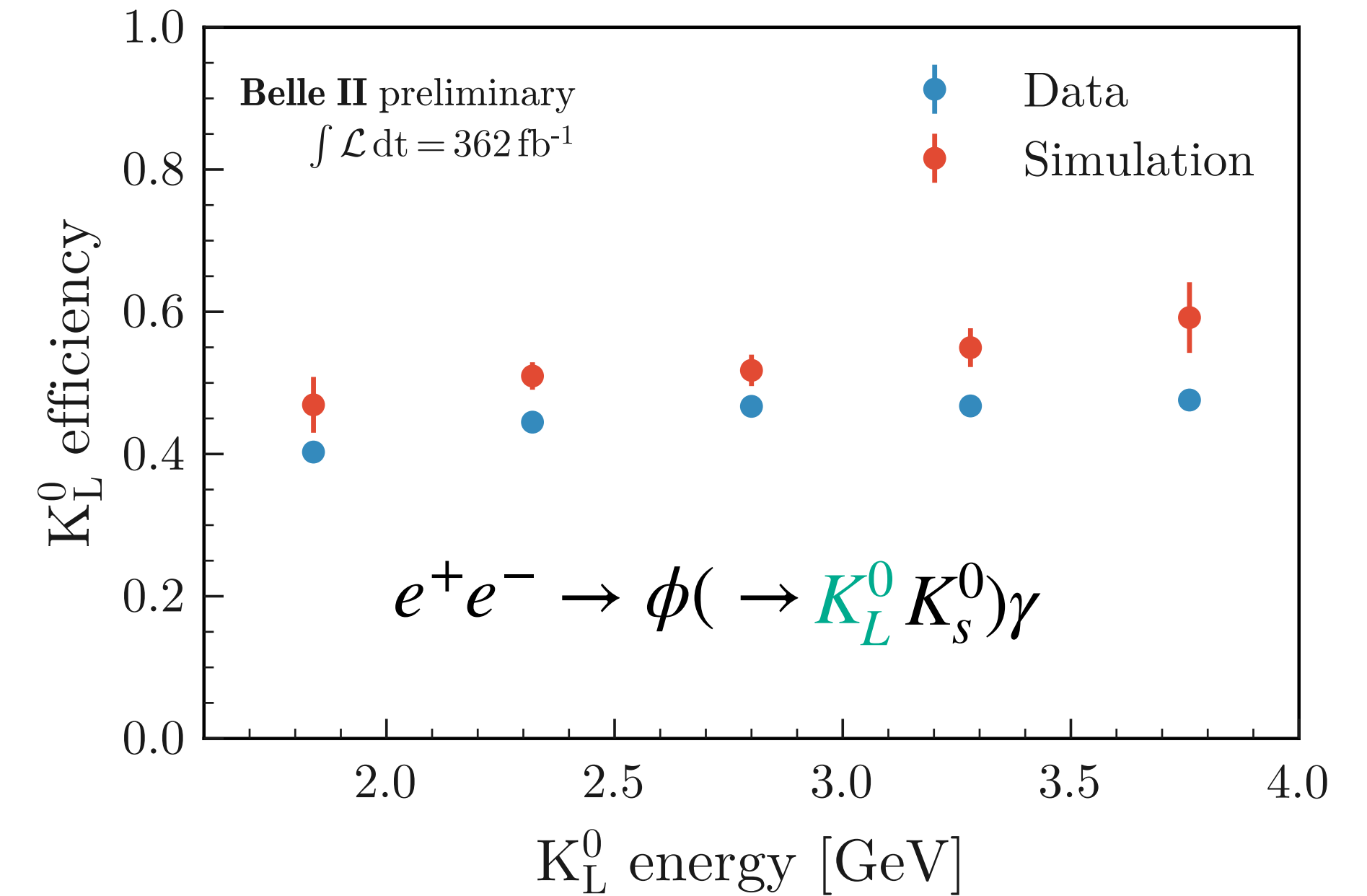
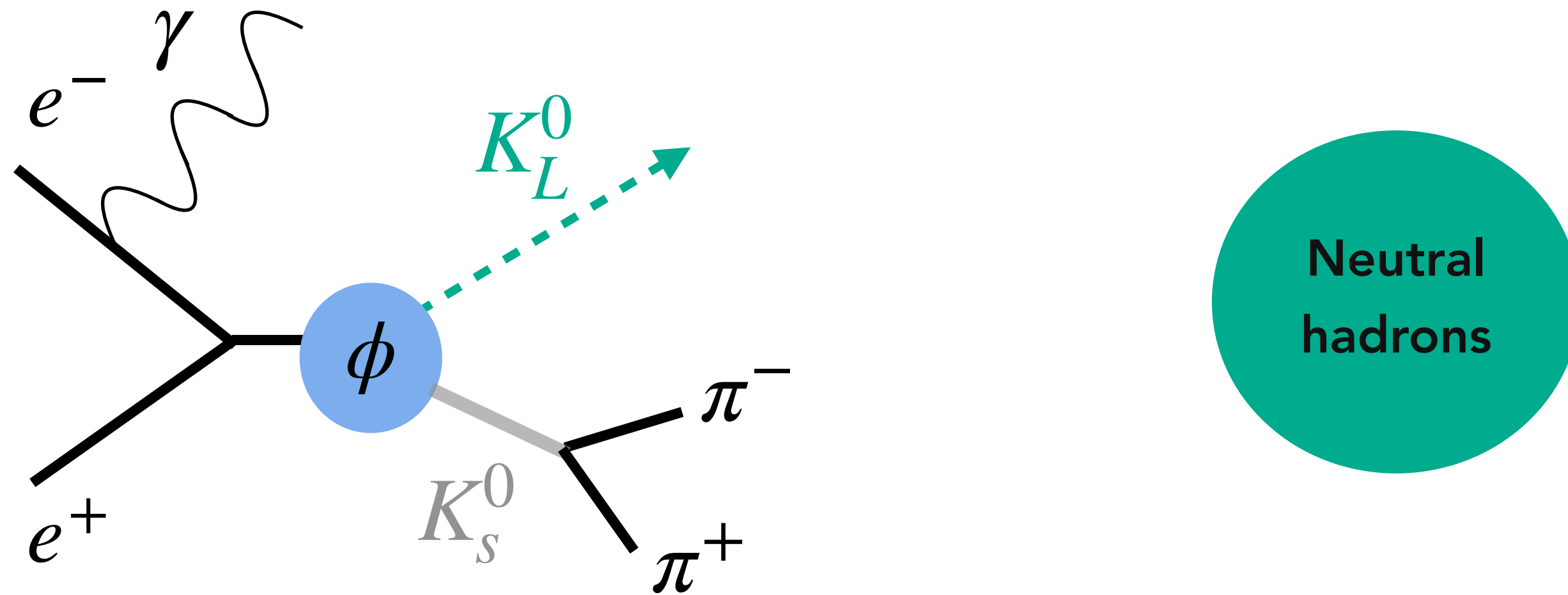
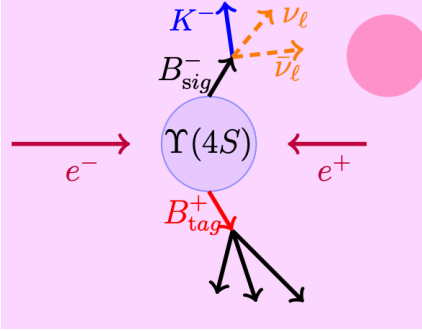
Belle II Snowmass paper : 2 scenarios baseline (improved\*)

$3\sigma$  ( $5\sigma$ ) for SM  $B^+ \rightarrow K^+ \nu \bar{\nu}$  decays with  $5 \text{ ab}^{-1}$

\*The "improved" scenario assumes a 50% increase in signal efficiency for the same background level



# Validation: $K_L^0$ efficiency



Check  $K_L^0$  reconstruction efficiency with  $e^+e^- \rightarrow \phi( \rightarrow K_L^0 K_S^0 )\gamma$ :

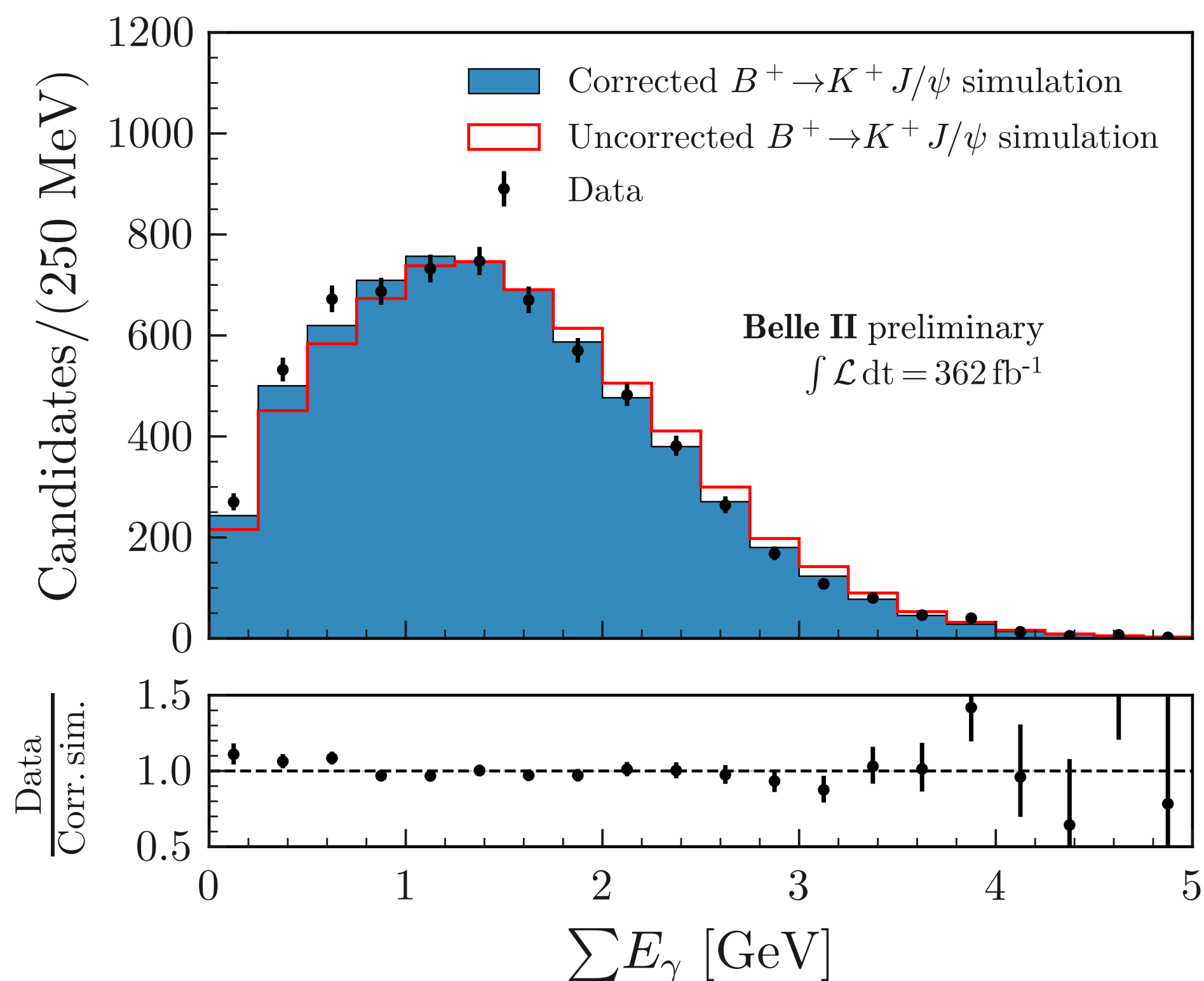
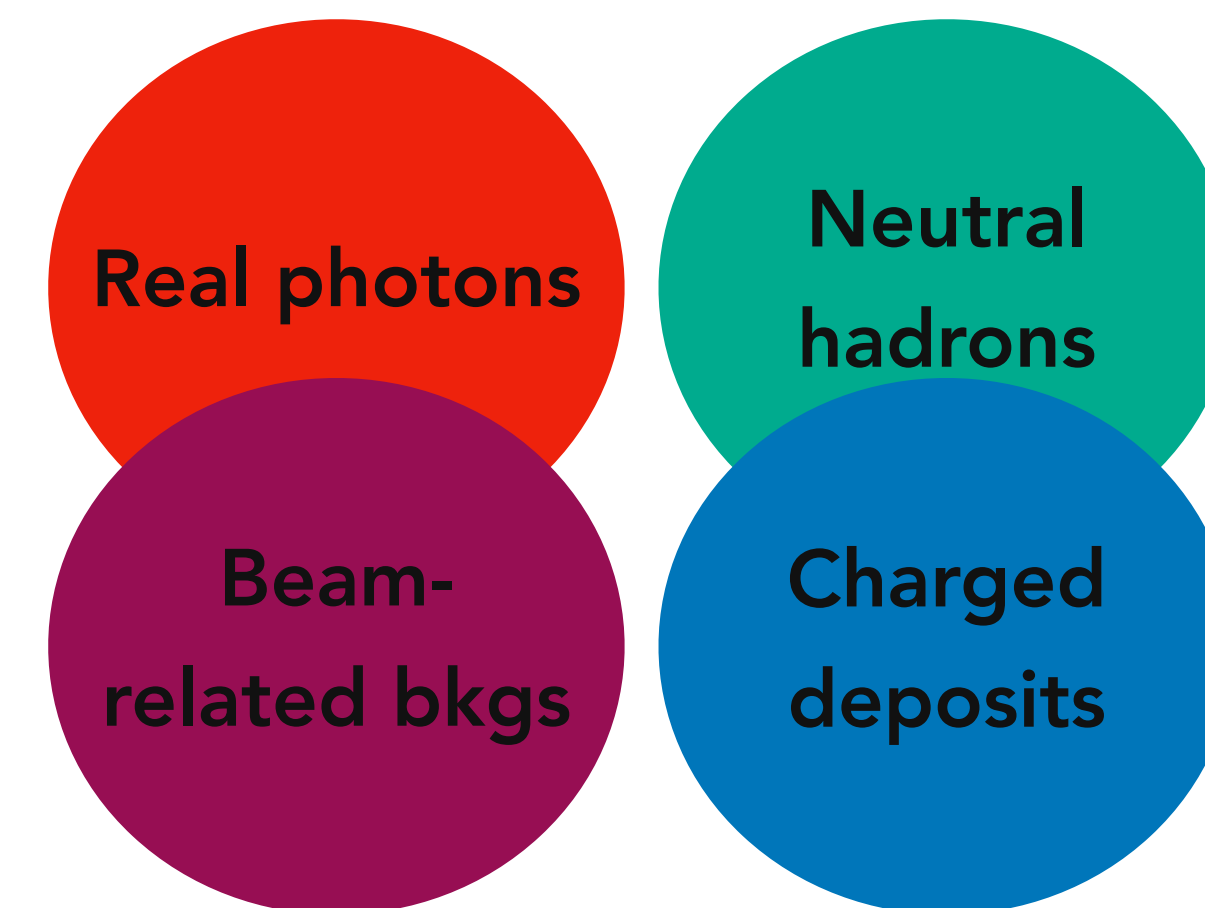
- Look for a photon with  $E_\gamma^* > 4.7$  GeV , a  $K_S^0$  and no extra tracks
- Extrapolate  $K_L^0$  trajectory to the calorimeter
- Calculate efficiency from checking energy deposit distance-matched to the  $K_L^0$  trajectory  
 → **Efficiency in data lower than MC of 17%**

Use difference (17%) as a correction and an uncertainty of 50% assigned to it as systematics

# Validation: Neutral Energy

Calorimeter clusters are reconstructed as photon candidates and include:

- Real photons
- Deposits from beam-backgrounds
- Charged particle deposits away from trajectory
- Neutral hadrons, e.g:  $K_L^0$



The energy of other **hadronic** clusters is biased:

- Summed neutral energy in  $B^+ \rightarrow K^+ J/\psi (\rightarrow \mu^+ \mu^-)$  events in data and MC in agreement after 10% shift
- Validated also with continuum simulation and off-resonance data

Use 10 % as correction for energy of **hadronic** clusters and a systematic uncertainty of 100% on the correction

# Validation: Particle Identification

Track with at least one pixel hit and PID to identify as kaon

- $\epsilon(\text{KaonID}) \sim 68\%$
- Mis-ID rate ( $\pi \rightarrow K$ )  $\sim 1.2\%$

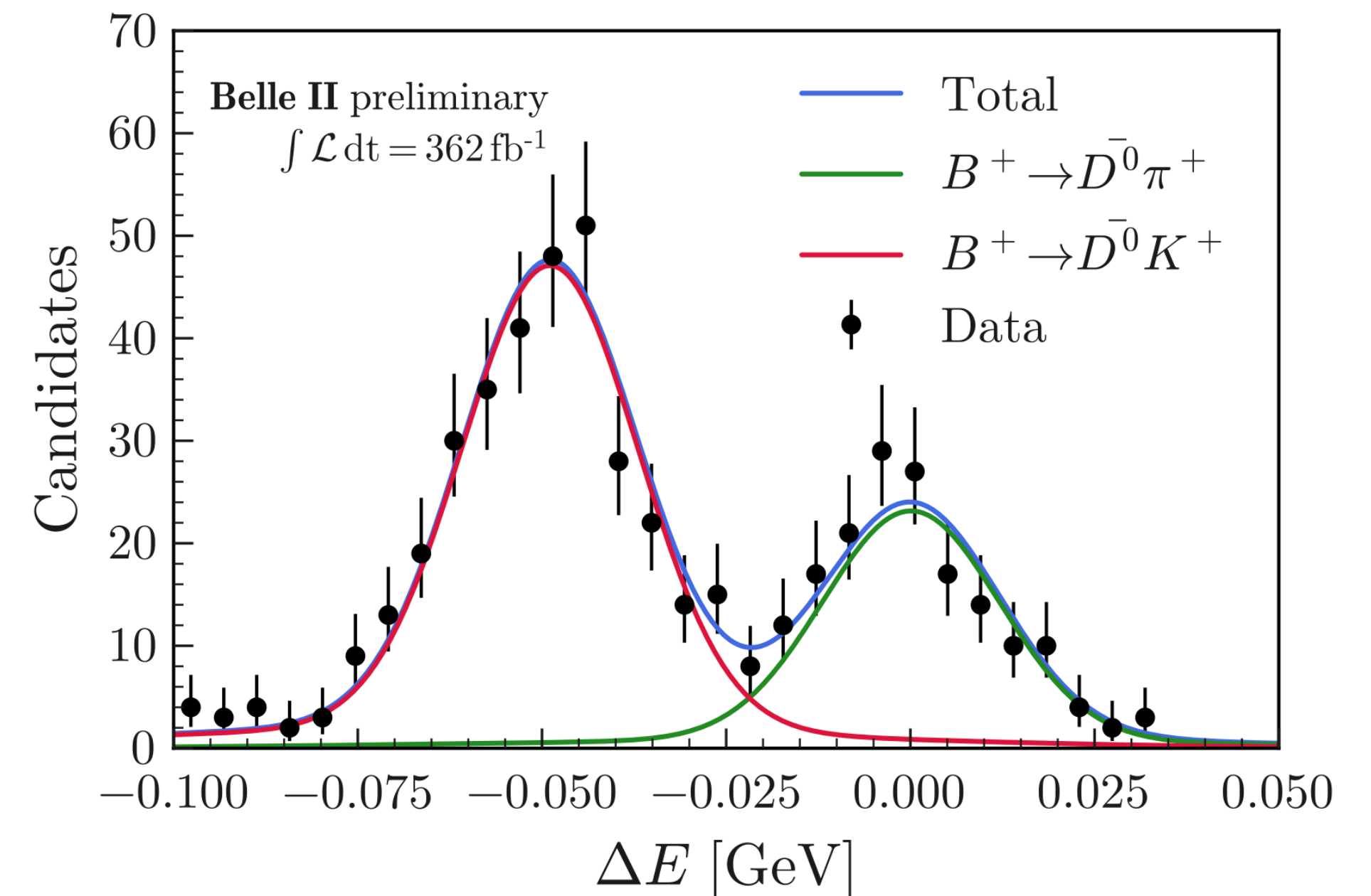
**PID Data/MC correction factors:**

- Obtained from  $D^{*+} \rightarrow \pi^+ D^0 (\rightarrow K^- \pi^+)$  calibration channels
- **Associated errors are propagated as systematic uncertainties**

**Validation with  $B^+ \rightarrow \overline{D}^0 (\rightarrow K^+ \pi^-) h^+$  samples, where  $h = (K, \pi)$ :**

- Remove  $\overline{D}^0$  daughters to mimic signal topology
- Apply  $B^+ \rightarrow K^+ \nu \bar{\nu}$  selection
- Fit  $\Delta E$  to obtain yields and calculate fake rate

$B^+ \rightarrow K^+ \nu \bar{\nu}$  signal region

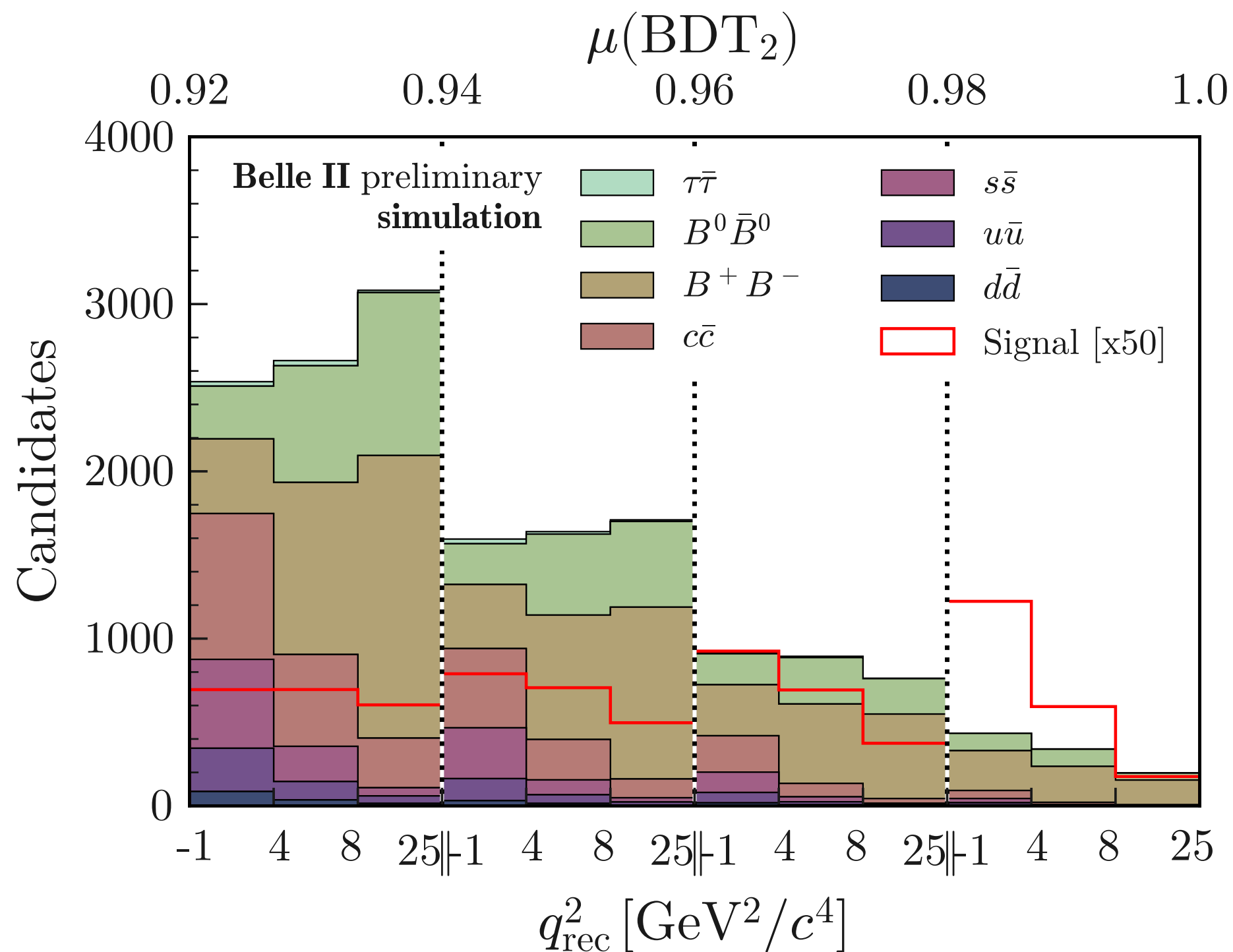


**Data consistent with MC within 9%:  $1.03 \pm 0.09$**

**→ No further corrections applied**

# Statistical Model

$B^+ \rightarrow K^+ \nu \bar{\nu}$  in SR: pre-fit distributions for on-resonance data



In total 24 signal region bins:

- 12 bins for on-resonance: 4 bins of  $\mu(\text{BDT}_2)$  and 3 bins of  $q_{rec}^2$
- 12 bins for off-resonance: 4 bins of  $\mu(\text{BDT}_2)$  and 3 bins of  $q_{rec}^2$

Statistical model based on binned likelihood for signal and 7 background categories:

- Poisson uncertainties for data counts
- Systematic and MC statistical uncertainties included in the fit as nuisance parameters

The resulting likelihood has

- 192 nuisance parameters
- one parameter of interest: **signal strength**  $\mu = \mathcal{B} / \mathcal{B}_{SM}$ , where  $\mathcal{B}_{SM} = 4.97 \times 10^{-6}$ ,  $(B \rightarrow \tau(\rightarrow K\bar{\nu})\nu)$  removed, treated as background)

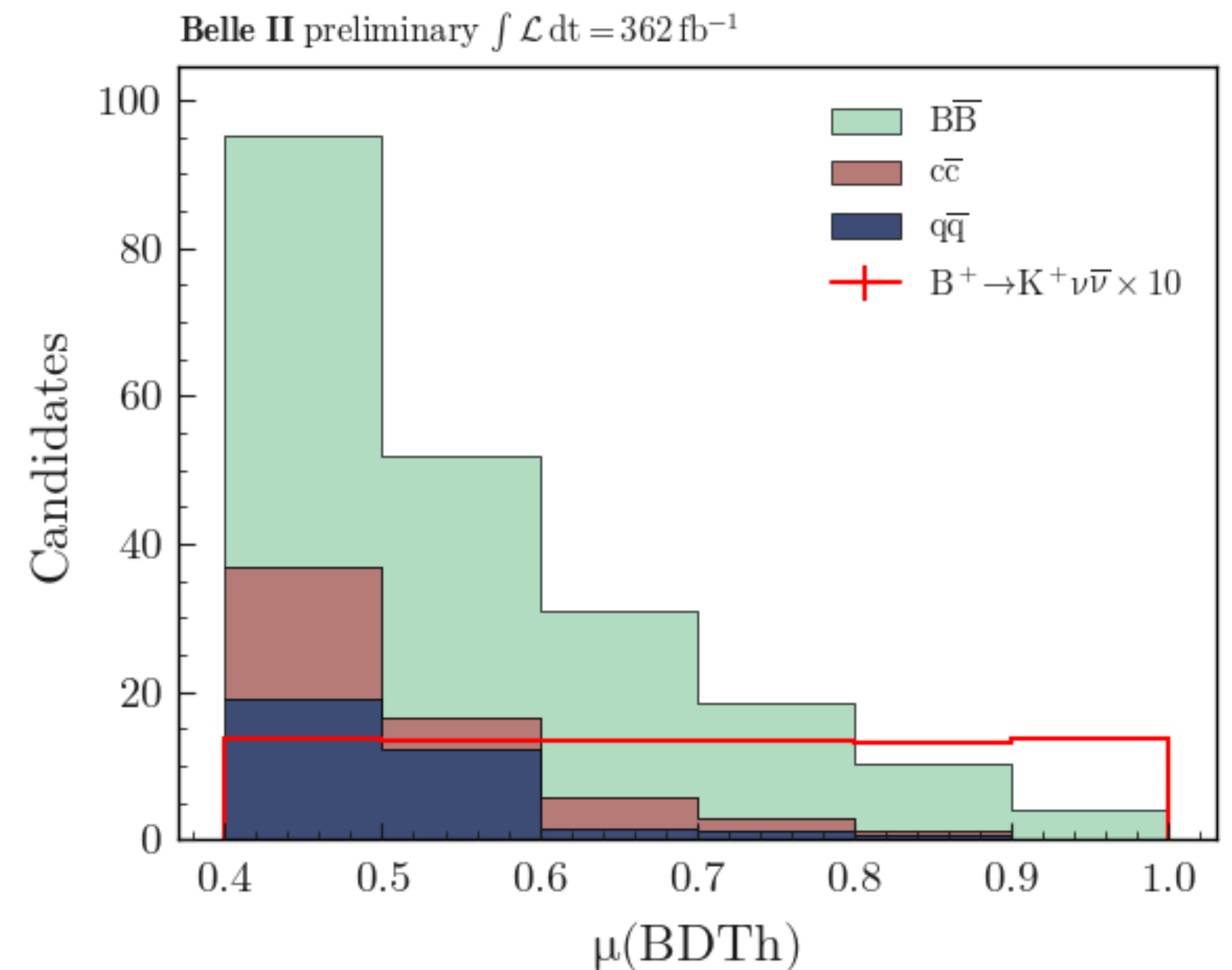
# Statistical Model

Statistical model based on binned likelihood for signal and 3 background categories:  $B\bar{B}$ ,  $c\bar{c}$ ,  $q\bar{q}$  ( $q = u, d, s$ )

- Signal region bins: 6 bins in  $\mu(\text{BDTh})$
- One-dimensional binned fit in  $\mu(\text{BDTh})$  for the on-resonance data

The resulting likelihood has

- 45 nuisance parameters
- one parameter of interest: **signal strength**  $\mu = \mathcal{B}/\mathcal{B}_{SM}$ , where  $\mathcal{B}_{SM} = 4.97 \times 10^{-6}$   
[ $B \rightarrow \tau(\rightarrow K\bar{\nu})\nu$  removed, treated as background]





# Systematic Uncertainties

Source	Uncertainty size	Impact on $\sigma_\mu$
Normalization of $B\bar{B}$ background	50%	0.88
Normalization of continuum background	50%	0.10
Leading $B$ -decays branching fractions	$O(1\%)$	0.22
Branching fraction for $B^+ \rightarrow K^+ K_L^0 K_L^0$	20%	0.49
$p$ -wave component for $B^+ \rightarrow K^+ K_S^0 K_L^0$	30%	0.02
Branching fraction for $B \rightarrow D^{(**)}$	50%	0.42
Branching fraction for $B^+ \rightarrow n\bar{n}K^+$	100%	0.20
Branching fraction for $D \rightarrow K_L X$	10%	0.14
Continuum background modeling, $BDT_c$	100% of correction	0.01
Integrated luminosity	1%	$< 0.01$
Number of $B\bar{B}$	1.5%	0.02
Off-resonance sample normalization	5%	0.05
Track finding efficiency	0.3%	0.20
Signal kaon PID	$O(1\%)$	0.07
Photon energy scale	0.5%	0.08
Hadronic energy scale	10%	0.36
$K_L^0$ efficiency in ECL	8%	0.21
Signal SM form factors	$O(1\%)$	0.02
Global signal efficiency	3%	0.03
MC statistics	$O(1\%)$	0.52

1.

3.

**statistical uncertainty  
on  $\mu = 1.1$**

2.

# Systematic Uncertainties

Source	Uncertainty size	Impact on $\sigma_\mu$
Normalization $B\bar{B}$ background	30%	0.91
Normalization continuum background	50%	0.58
Leading $B$ -decays branching fractions	$O(1\%)$	0.10
Branching fraction for $B^+ \rightarrow K^+ K_L^0 K_L^0$	20%	0.20
Branching fraction for $B \rightarrow D^{(**)}$	50%	$< 0.01$
Branching fraction for $B^+ \rightarrow K^+ n\bar{n}$	100%	0.05
Branching fraction for $D \rightarrow K_L X$	10%	0.03
Continuum background modeling, $\text{BDT}_c$	100% of correction	0.29
Number of $B\bar{B}$	1.5%	0.07
Track finding efficiency	0.3%	0.01
Signal kaon PID	$O(1\%)$	$< 0.01$
Extra photon multiplicity	$O(20\%)$	0.61
$K_L^0$ efficiency	17%	0.31
Signal SM form factors	$O(1\%)$	0.06
Signal efficiency	16%	0.42
Simulated sample size	$O(1\%)$	0.60

1.

2.

3.

**statistical uncertainty  
on  $\mu = 2.3$**

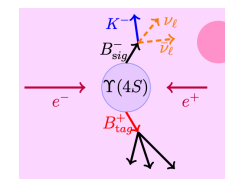
# Basic Reconstruction and Selection

Reconstruct the  $B_{tag}$  in one of the 35 hadronic final states with the full-event interpretation algorithm [[arXiv:2008.06096](https://arxiv.org/abs/2008.06096)]

Requirements a good  $B_{tag}$ :

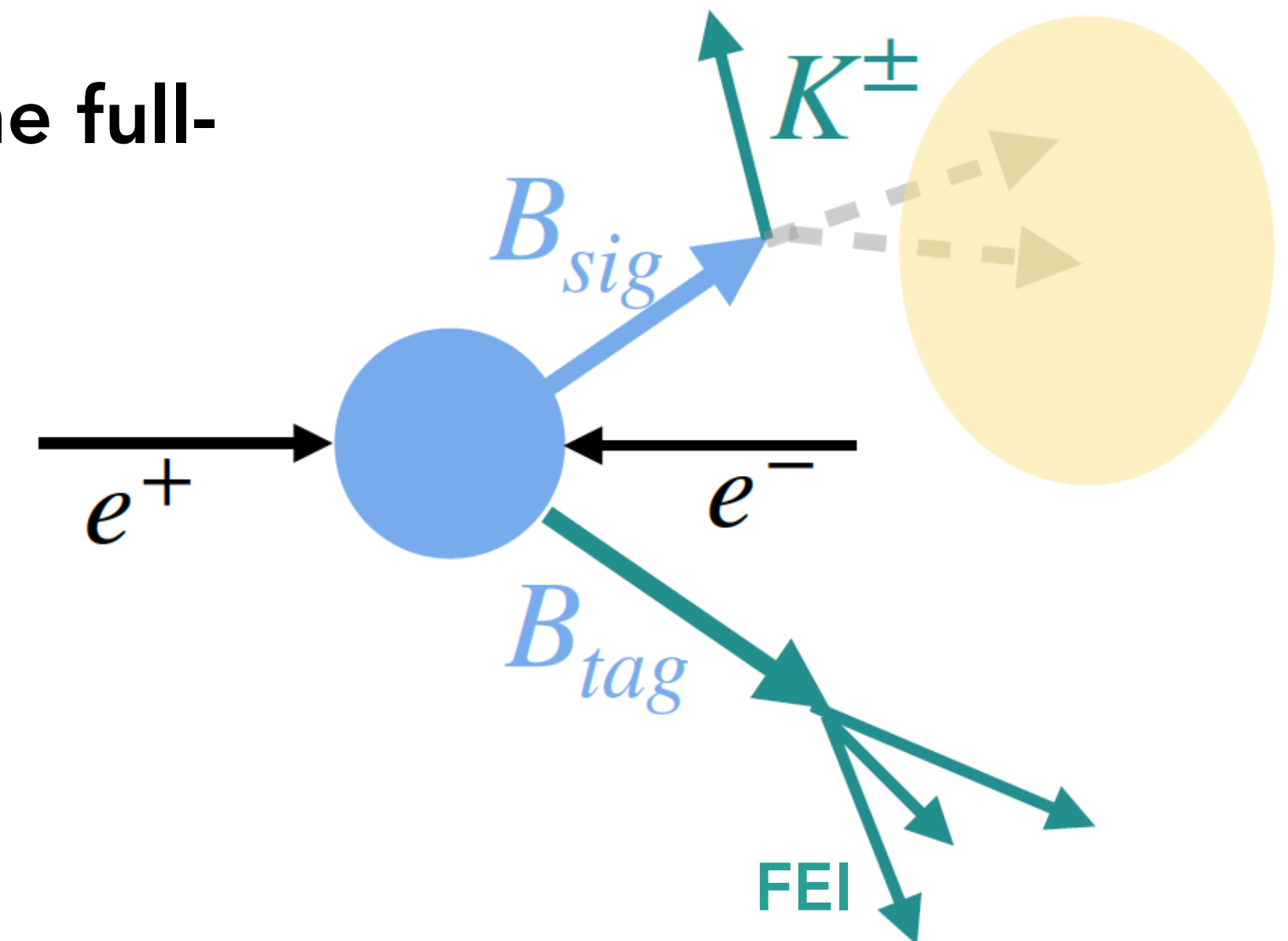
- Cut on quality of  $B_{tag}$  reconstruction

Same kaon selection and identification as ITA



Event requirements:

- $B_{tag}$  and  $K$  opposite charge
- $N_{tracks} \leq 12$
- $N_{tracks}$  (in drift chamber not associated to  $B_{tag}$  or  $K$ ) = 0
- $n(K_S), n(\pi^0), n(\Lambda) = 0$



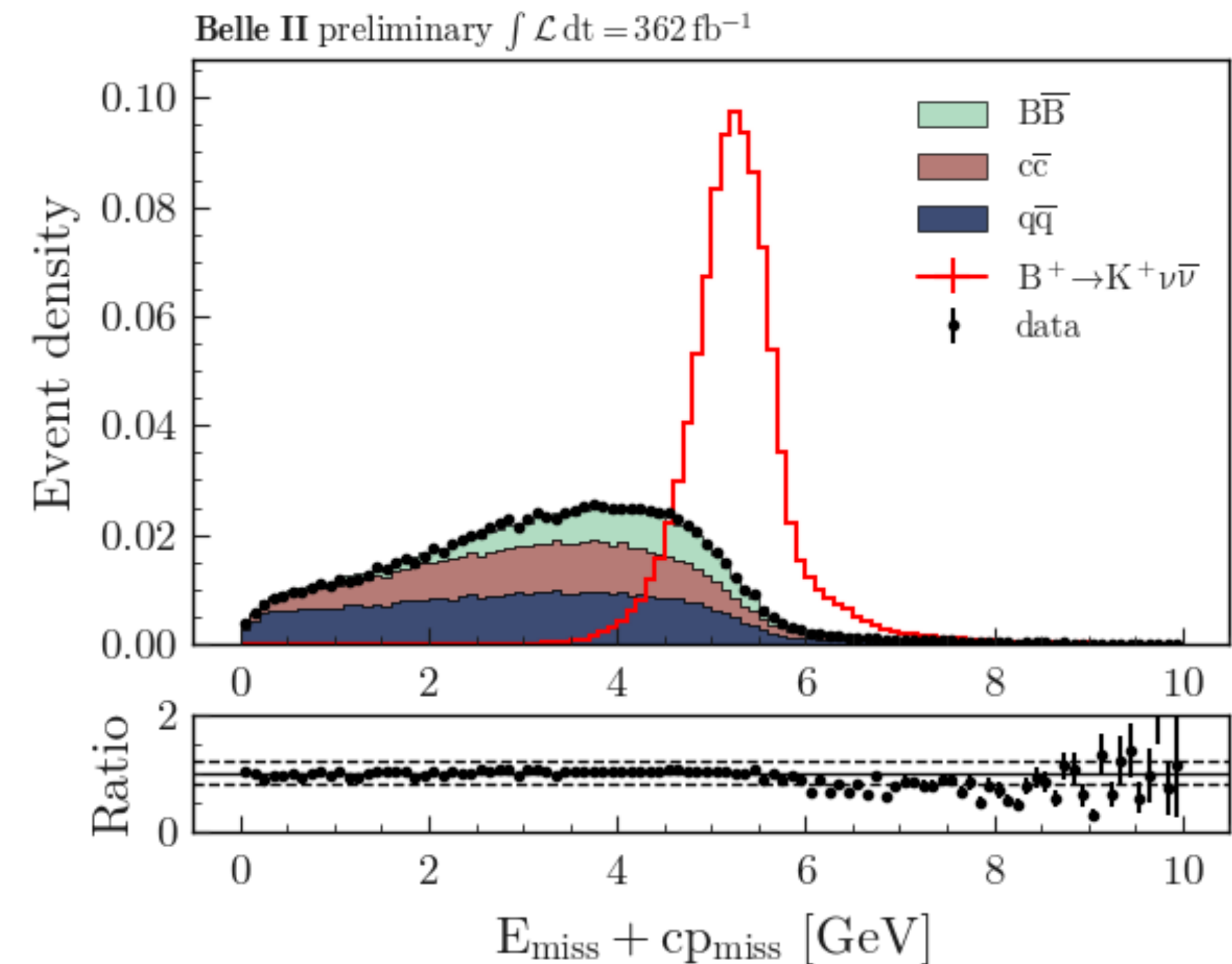
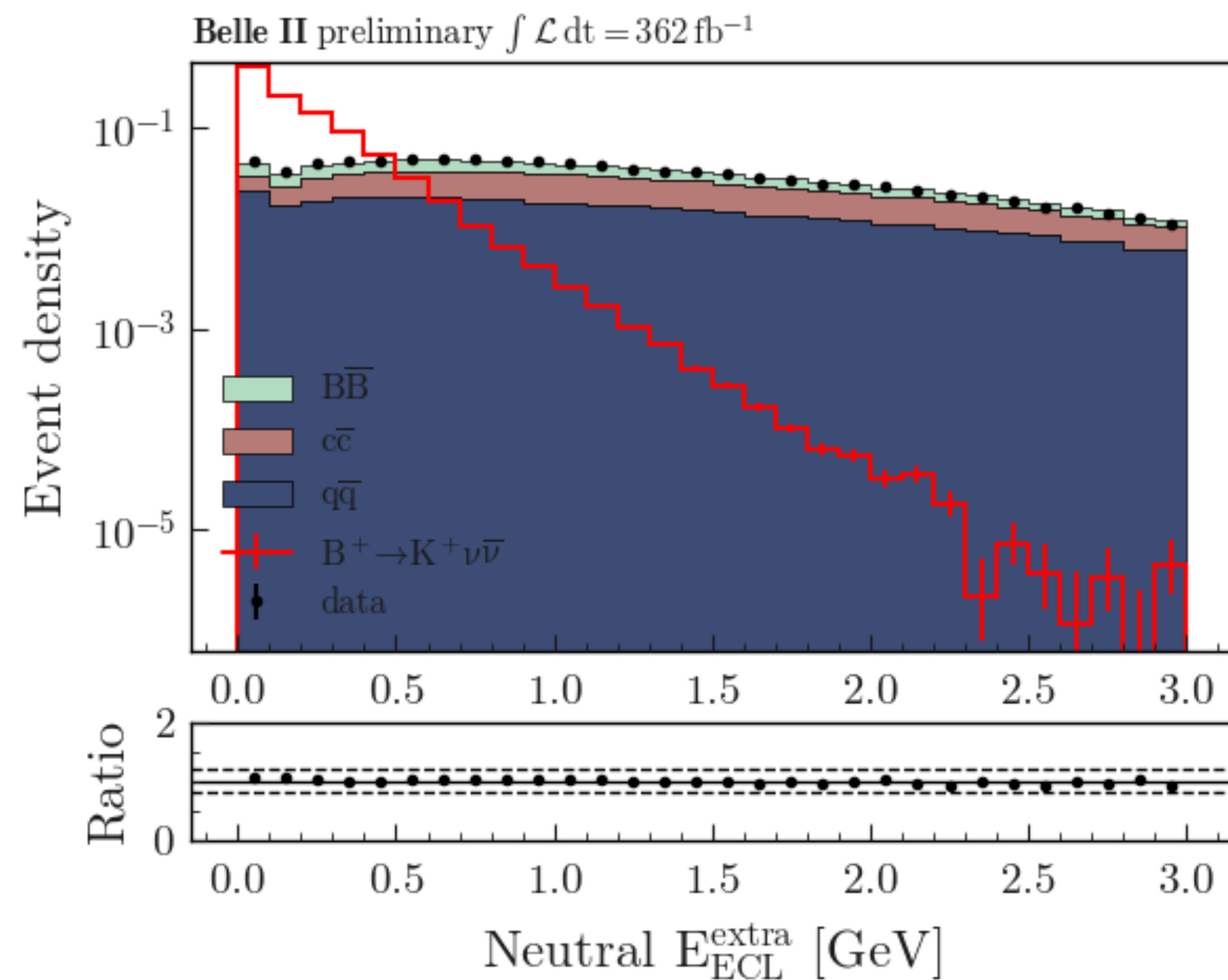
**Rest of the event:**

- Remaining tracks
- ECL deposits ( $E > 60/150$  MeV) not associated to kaon or  $B_{tag}$

# Main Discriminating Variables

**Neutral  $E_{ECL}^{extra}$** : calorimeter deposits not associated with tracks, with the  $B_{tag}$  nor the signal kaon and with energies  $> 60$ - $150$  MeV (depending on the polar angle)

$E_{miss} + p_{miss}$ : sum of the missing energy and absolute missing three-momentum vector

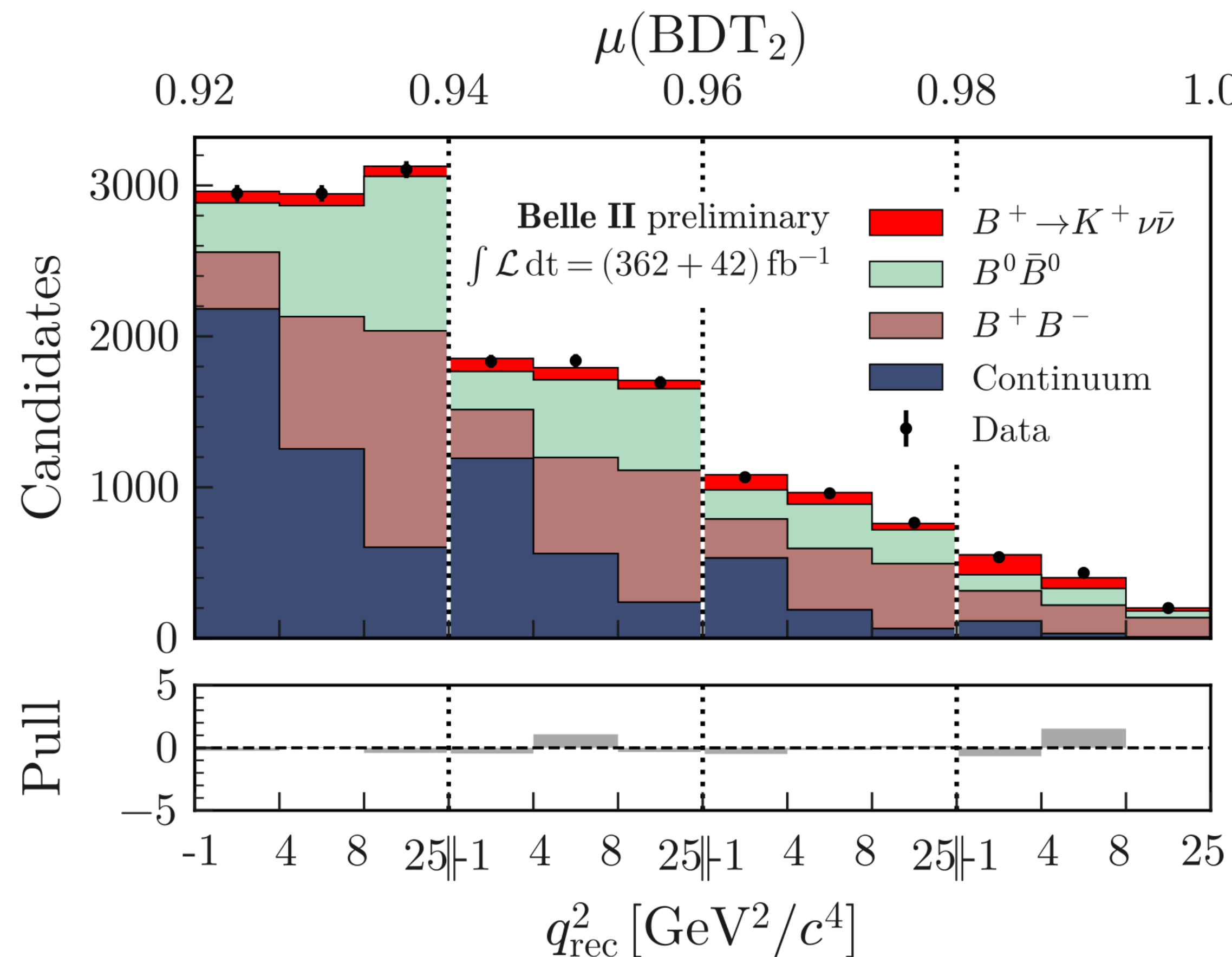


These, together with other variables are combined in a boosted decision tree classifier: **BDTh**

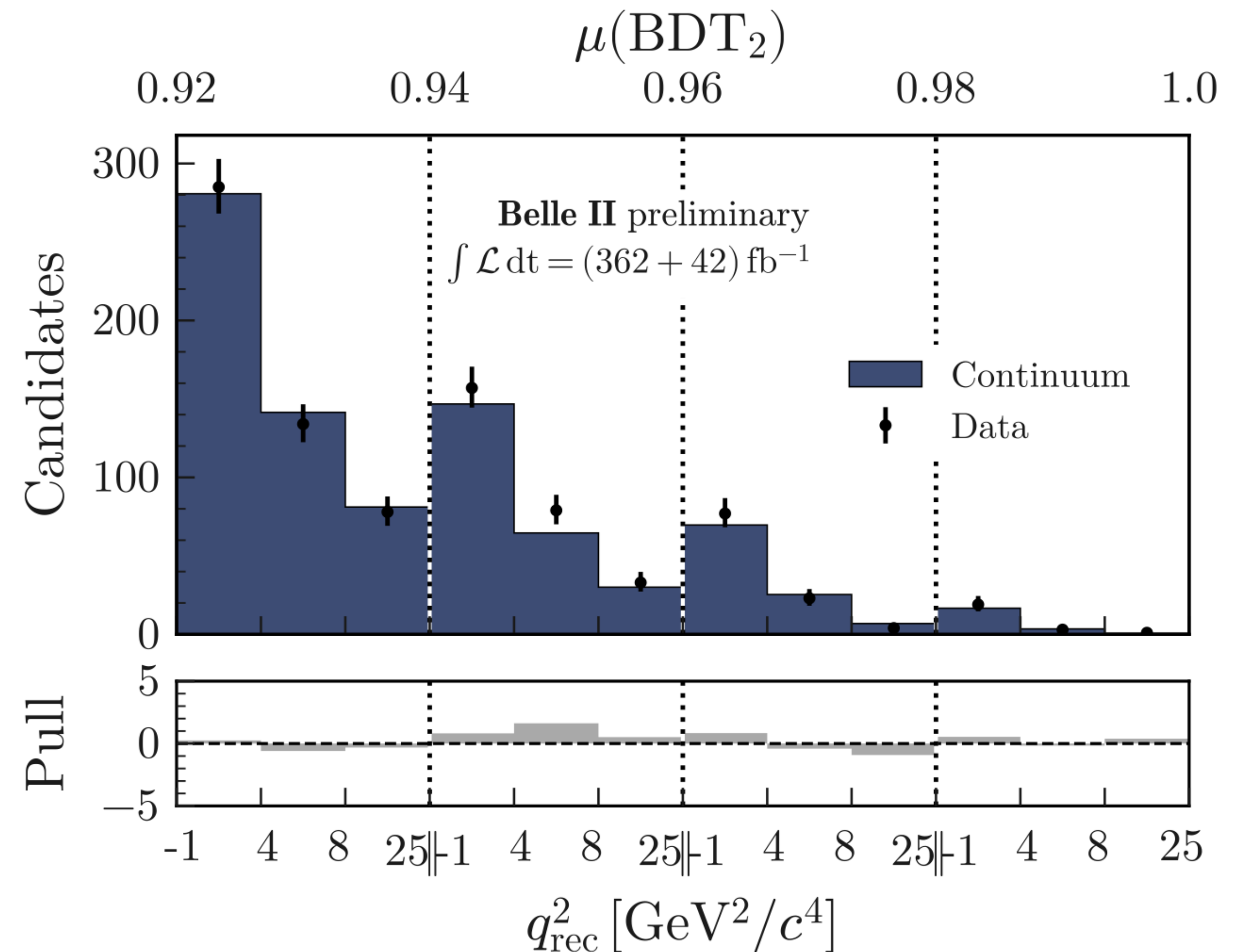
# ITA Results: Post-fit Distributions

Post-fit distributions for **signal** and background

On-resonance data



Off-resonance data

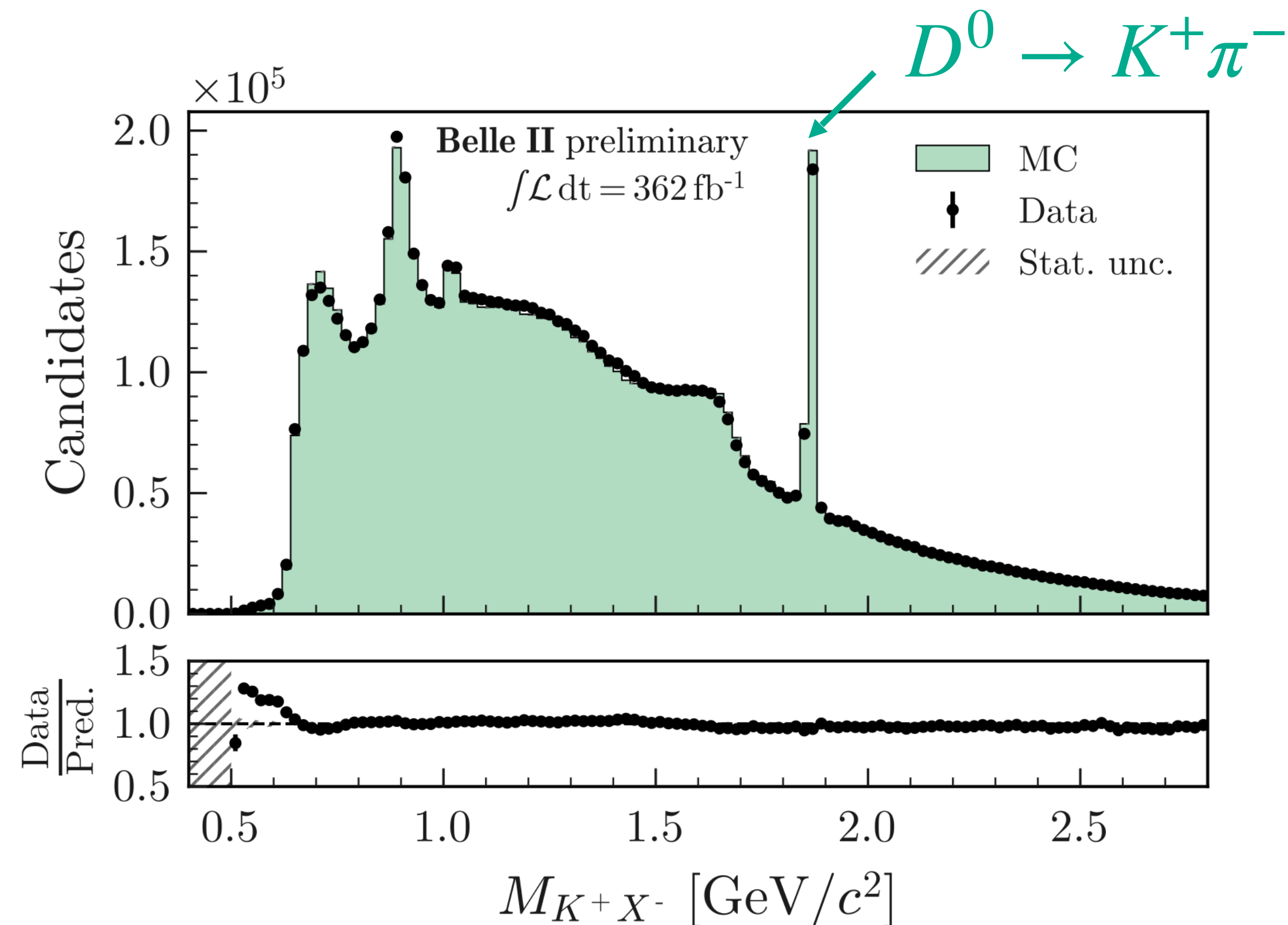


# $B\bar{B}$ Backgrounds

Semileptonic  $B^+$  decays with  $K$  coming from a  $D$  decay are checked in:

- Invariant mass of the signal kaon and a ROE charged particle  
(most probable mass hypothesis from PID info  $X = \pi, K, p$ )
- Resonances well reproduced

$B^+ \rightarrow K^+ \nu \bar{\nu}$  after  
BDT<sub>1</sub> selection



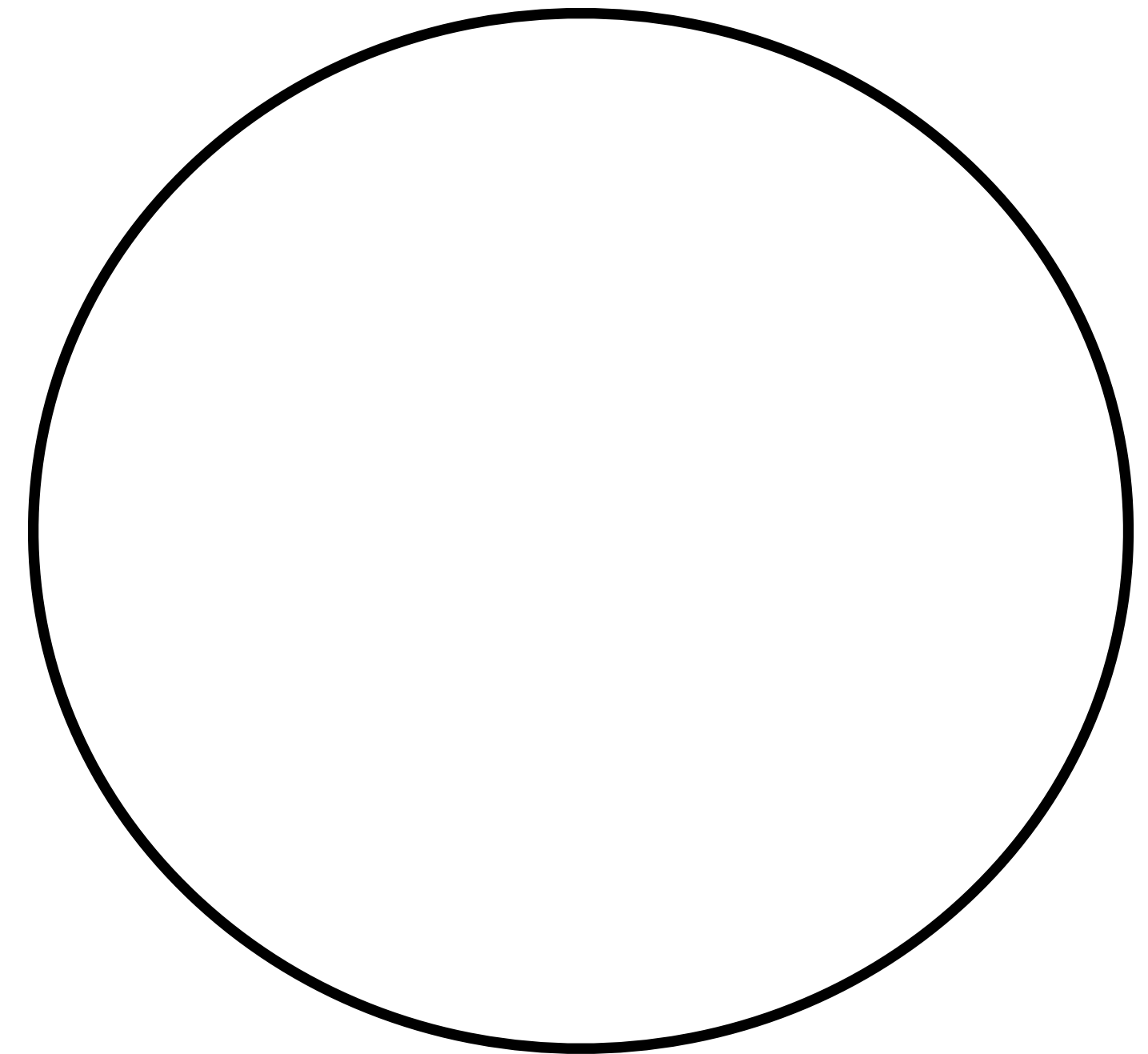
# ROE Reconstruction: ECL clusters

## Rest of the Event (ROE)

- Other charged tracks
- **Other ECL clusters**

○  $K_S^0$

ECL clusters

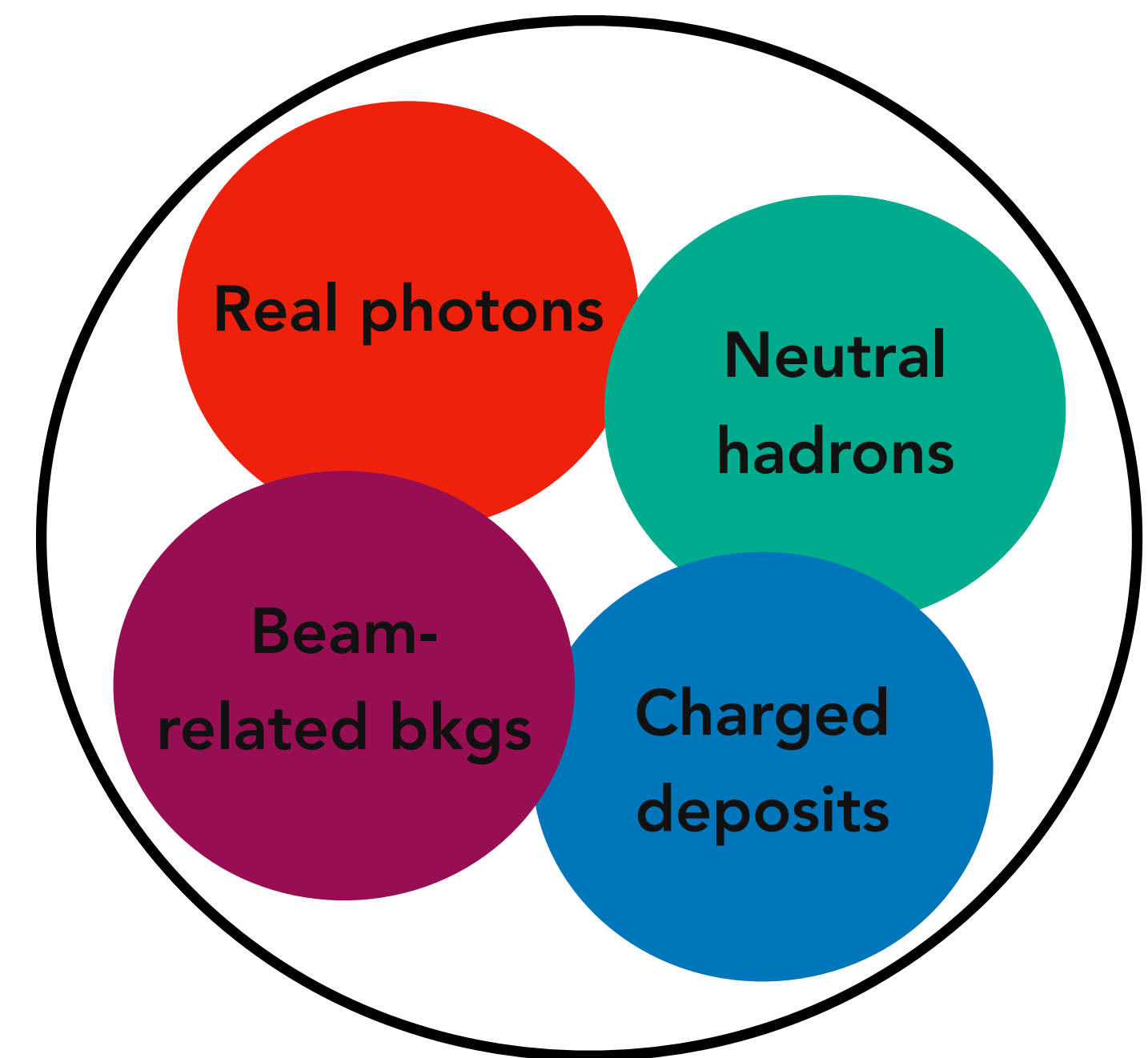


# ROE Reconstruction: ECL clusters

## Rest of the Event (ROE)

- Other charged tracks
- Other ECL clusters are reconstructed as photon candidates and include:
  - Real photons
  - Beam related backgrounds
  - Charged particle deposits away from trajectory
  - Neutral hadrons, e.g:  $K_L^0$
- $K_S^0$

## ECL clusters





# ROE Reconstruction: ECL Clusters

## Reconstruction of real photons:

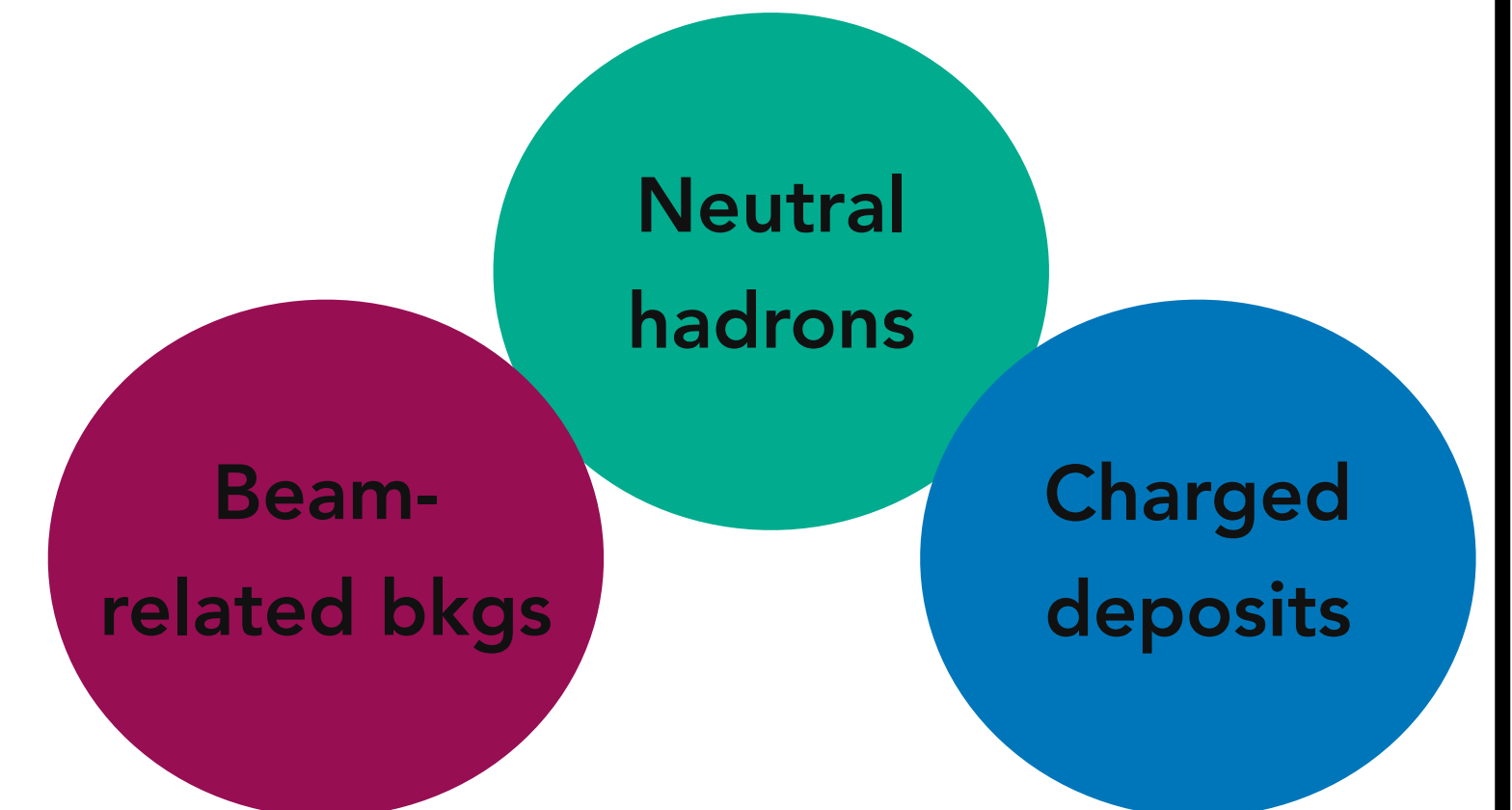
- **Photon-detection efficiency** in data/MC checked with  $e^+e^- \rightarrow \mu^+\mu^-\gamma$ 
  - good data/MC agreement
- **Photon energy** is also well modelled in simulation: **Associated 0.5% uncertainty on photon energy is propagated as systematics uncertainty**
  - associated 0.5% uncertainty on measurement



## Other hadronic sources:

- **Hadronic energy** measurement is biased
- Derive 10% data/MC correction with  $B^+ \rightarrow K^+J/\psi$  channel

Use difference (10 %) as a correction and an uncertainty of 100% assigned to it as systematics

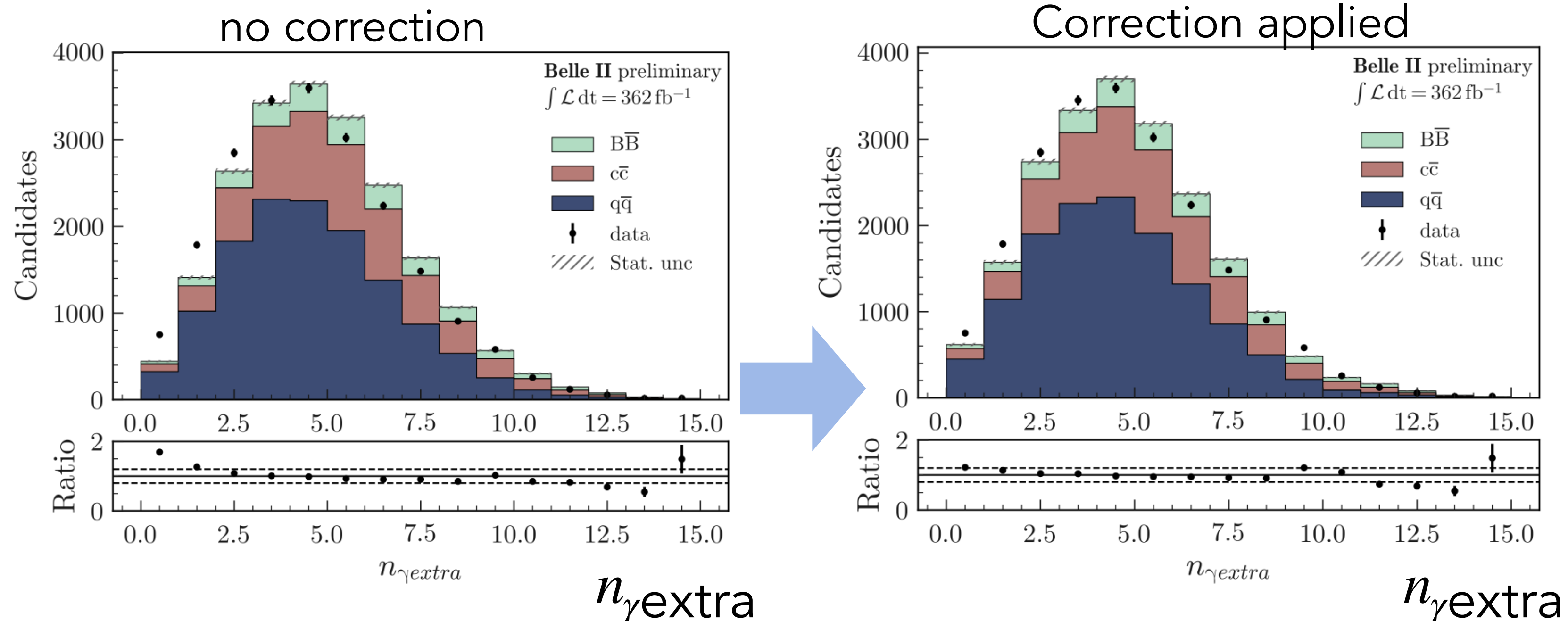


# Neutral Extra Energy HTA

Corrections and the validation of the signal efficiency and background estimation follow similar methods as in **ITA**

One of the differences is the photon selection, which leads to specific needs for  $E_{ECL}^{extra}$  (**the most discriminant variable**) derived with control samples (same charge K and  $B_{tag}$ )

$\gamma$  multiplicity distribution shows some data/MC disagreement  
**pion enriched sample**



Method validated with pion enriched samples

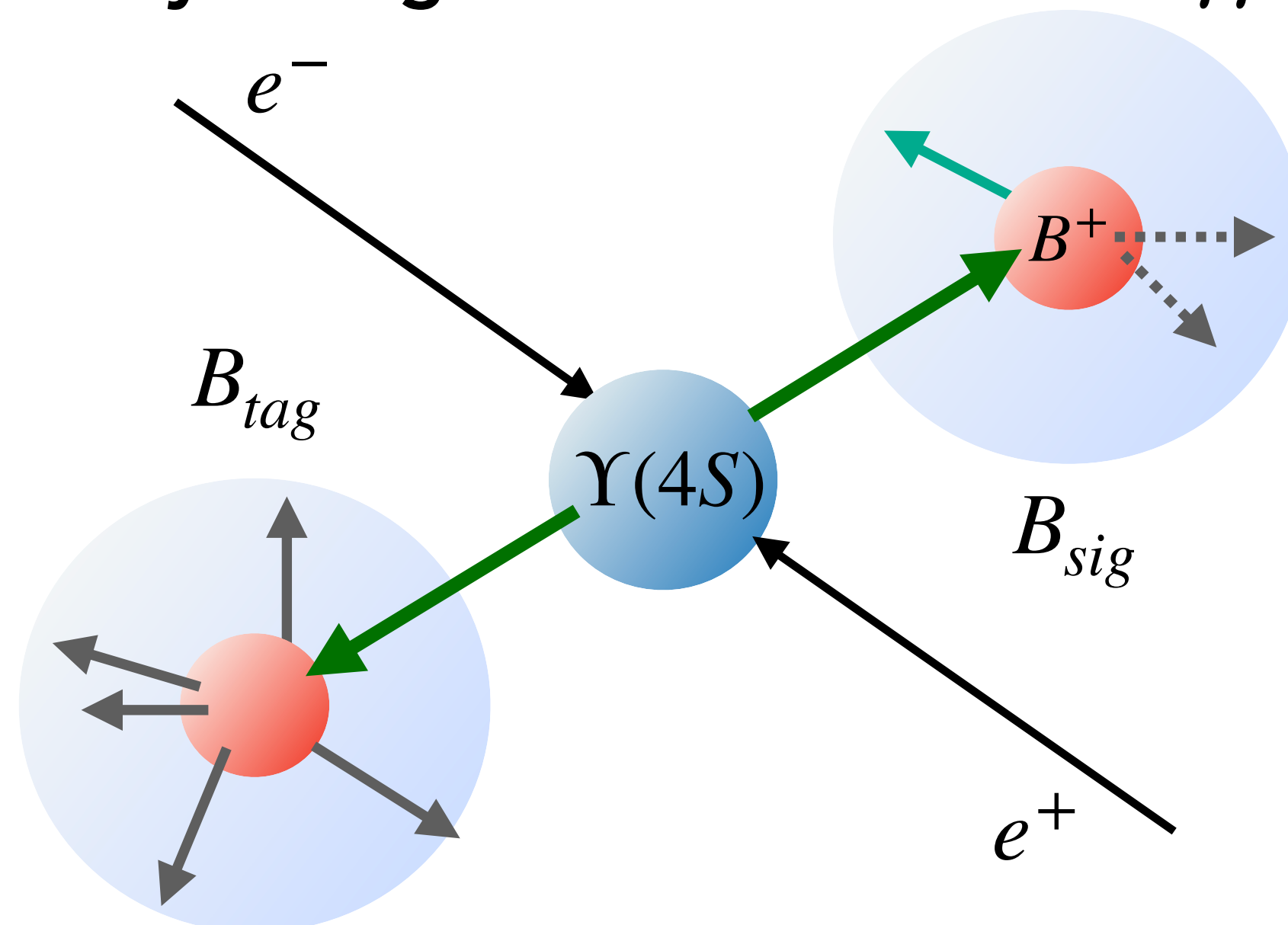
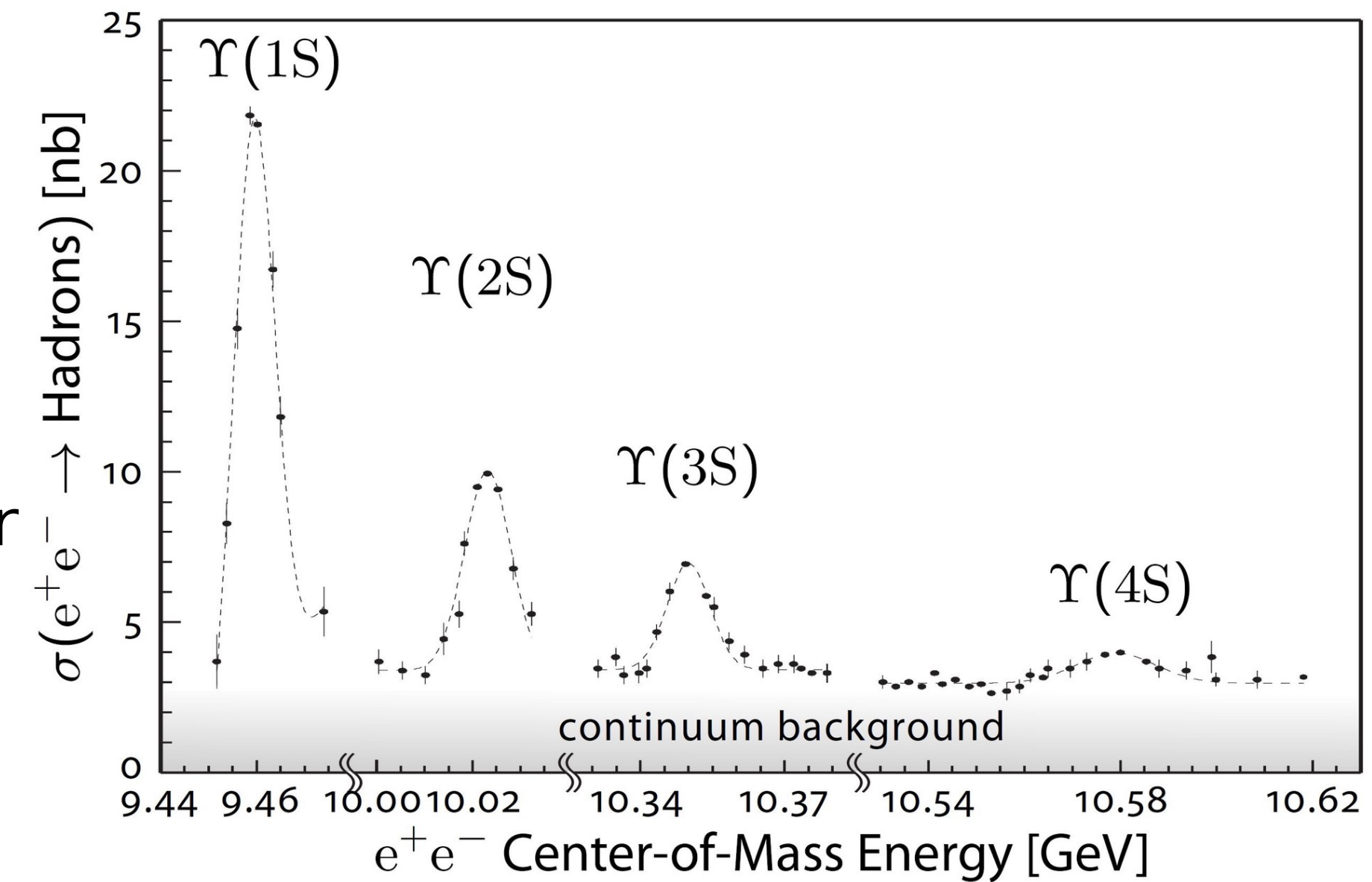
The residual difference is considered as uncertainty

# Belle II Events

In addition to signal events, 5 types of backgrounds:

1. Continuum backgrounds  $e^+e^- \rightarrow q\bar{q}, q \in (s, c, d, u)$
2.  $e^+e^- \rightarrow \tau\bar{\tau}$
3.  $B$ -backgrounds
4. Beam-backgrounds: Touschek scattering, Coulomb scattering, synchrotron radiation, injection background, ...
5. Luminosity backgrounds:  $e^+e^- \rightarrow e^+e^-\gamma\gamma \rightarrow e^+e^-e^+e^-, \dots$

Increase with  $\mathcal{L}_{inst}$



$\sqrt{s} = 10.52 \text{ GeV}$   
 $\rightarrow$  control sample to  
 constrain continuum  
 backgrounds

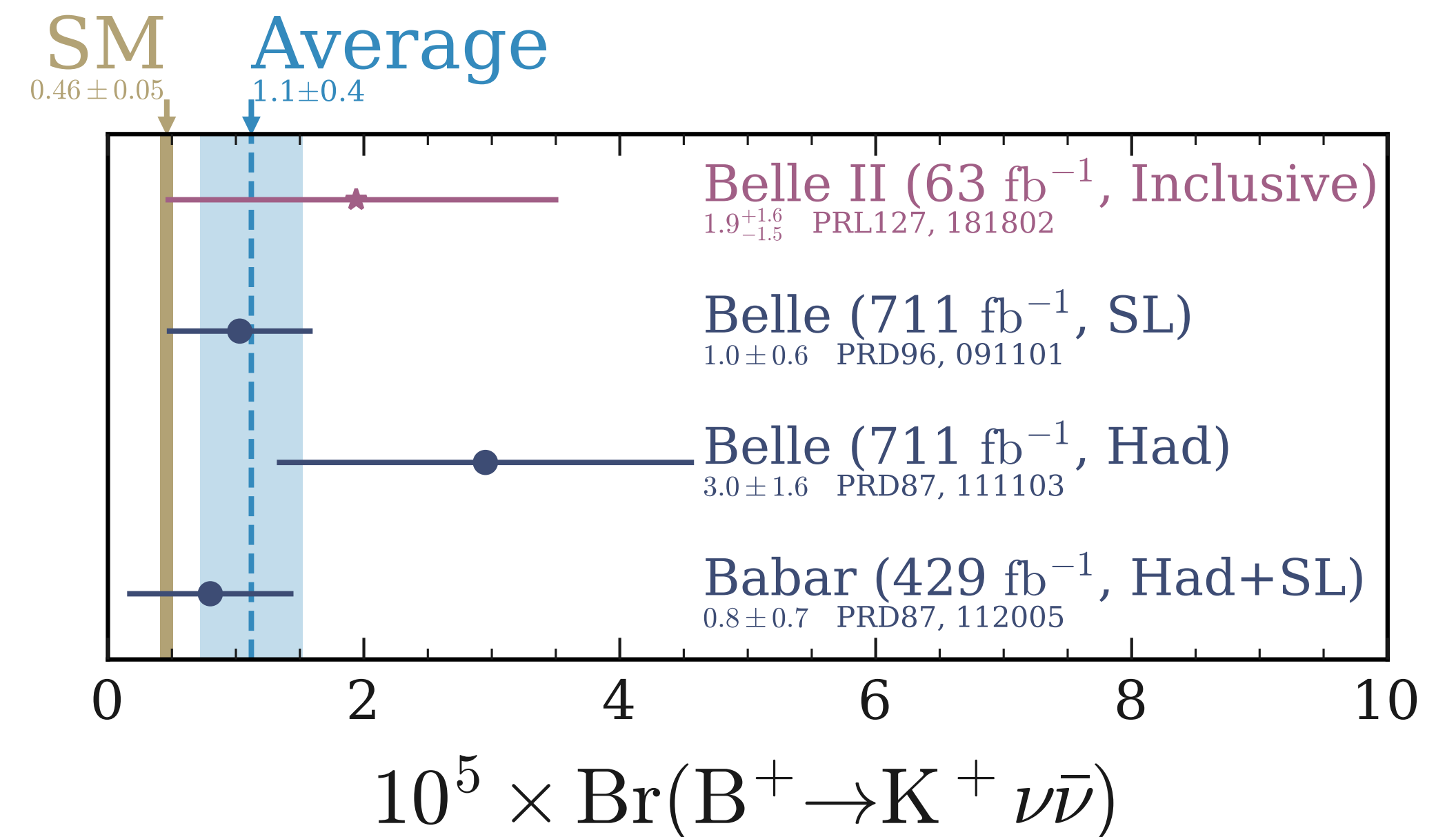
# Recap of last Belle II measurement

[[Phys. Rev. Lett. 127, 181802](#)]

The first analysis on  $B^+ \rightarrow K^+ \nu \bar{\nu}$  performed by Belle II used first  $\mathcal{L} = 63 \text{ fb}^{-1}$

- Based on innovative reconstruction approach (inclusive tagging)
- $\mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu}) = [1.9_{-1.3}^{+1.3} (\text{stat})_{-0.7}^{+0.8} (\text{syst})] \times 10^{-5} \rightarrow$  no significant signal was observed
- Set competitive upper limit of  $4.1 \times 10^{-5}$  @ 90% C.L.

Good sensitivity with rather small dataset thanks to innovative approach

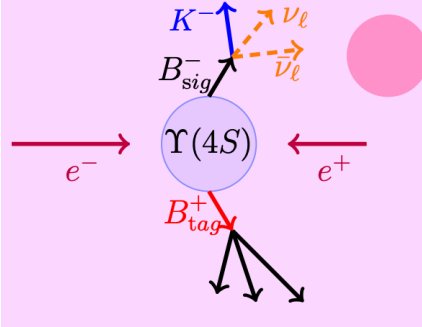


Best upper limit

- Set by BaBar  $1.6 \times 10^{-5}$  @ 90% C.L. [[PhysRevD.87.112005](#)]

Measured central values\*  
\*N.B. only limits were set

# Particle Identification: Validation



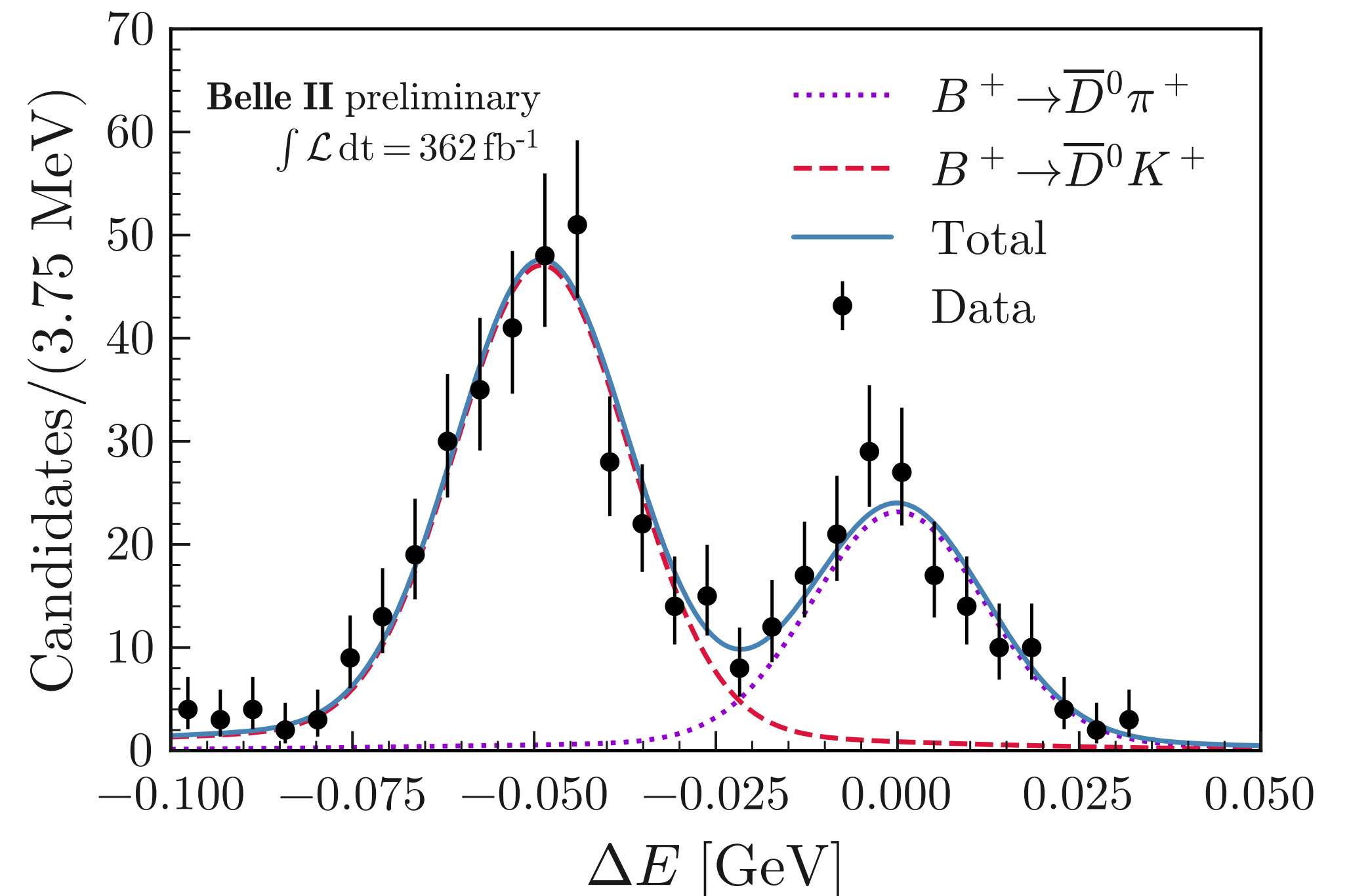
$B^+ \rightarrow \bar{D}^0 (\rightarrow K^+ \pi^-) h^+$  data and MC events with  $h = K, \pi$  to validate the fake rate:

- Remove  $\bar{D}^0$ -decay tracks to mimic signal signature
- Use the full  $B^+ \rightarrow K^+ \nu \bar{\nu}$  selection
- Compute  $\Delta E$  with  $\pi$  mass hypothesis and select  $h$  with nominal KaonID
- Estimate the number of  $B^+ \rightarrow \bar{D}^0 K^+$  and  $B^+ \rightarrow \bar{D}^0 \pi^+$  by fitting  $\Delta E$  both for MC and data
- Obtain fake rate:  $F = N_\pi / (N_\pi + N_K)$

**Data consistent with MC within 9%:  $1.03 \pm 0.09$**

**→ No further corrections applied**

$B^+ \rightarrow K^+ \nu \bar{\nu}$  signal region

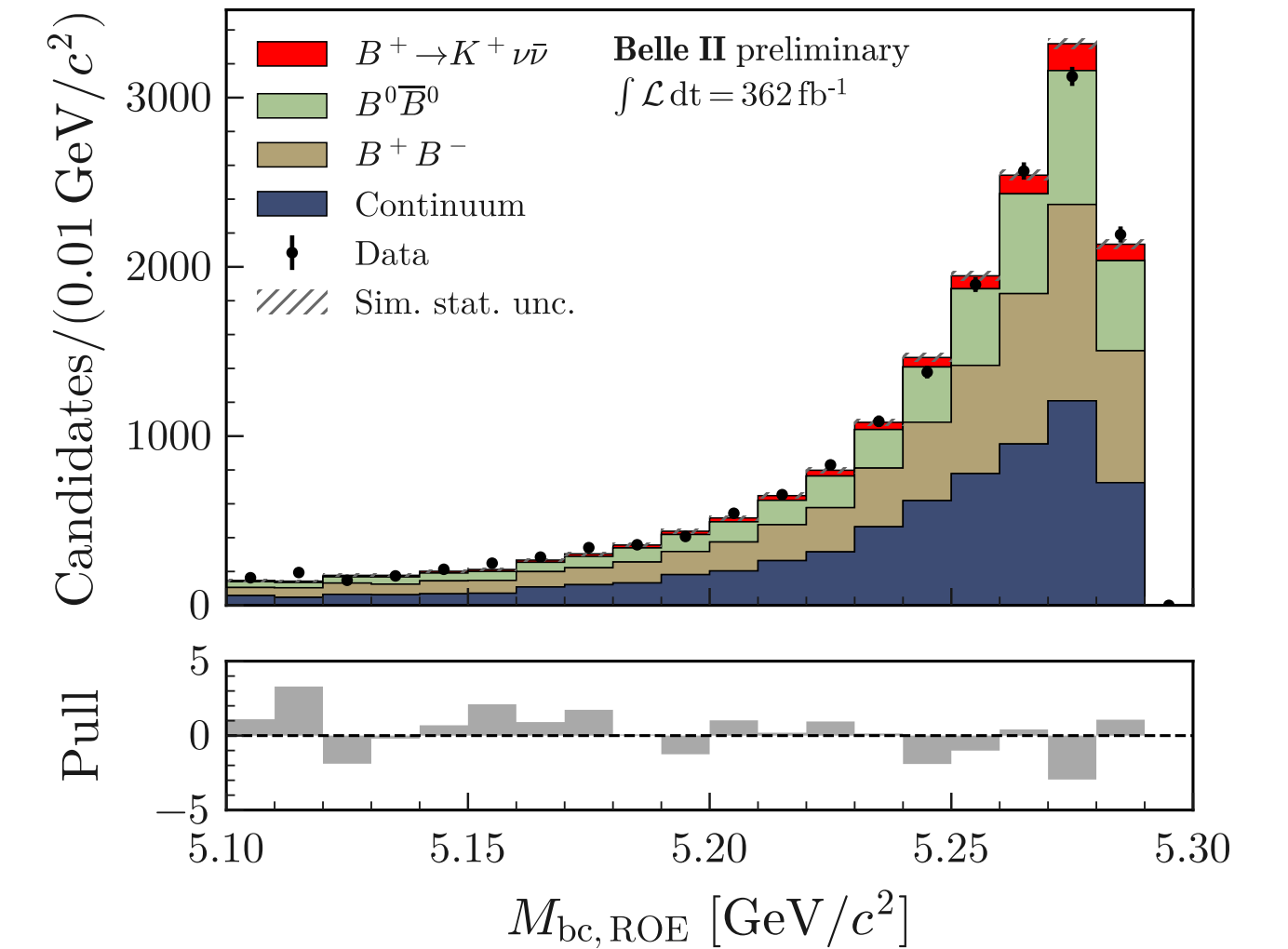
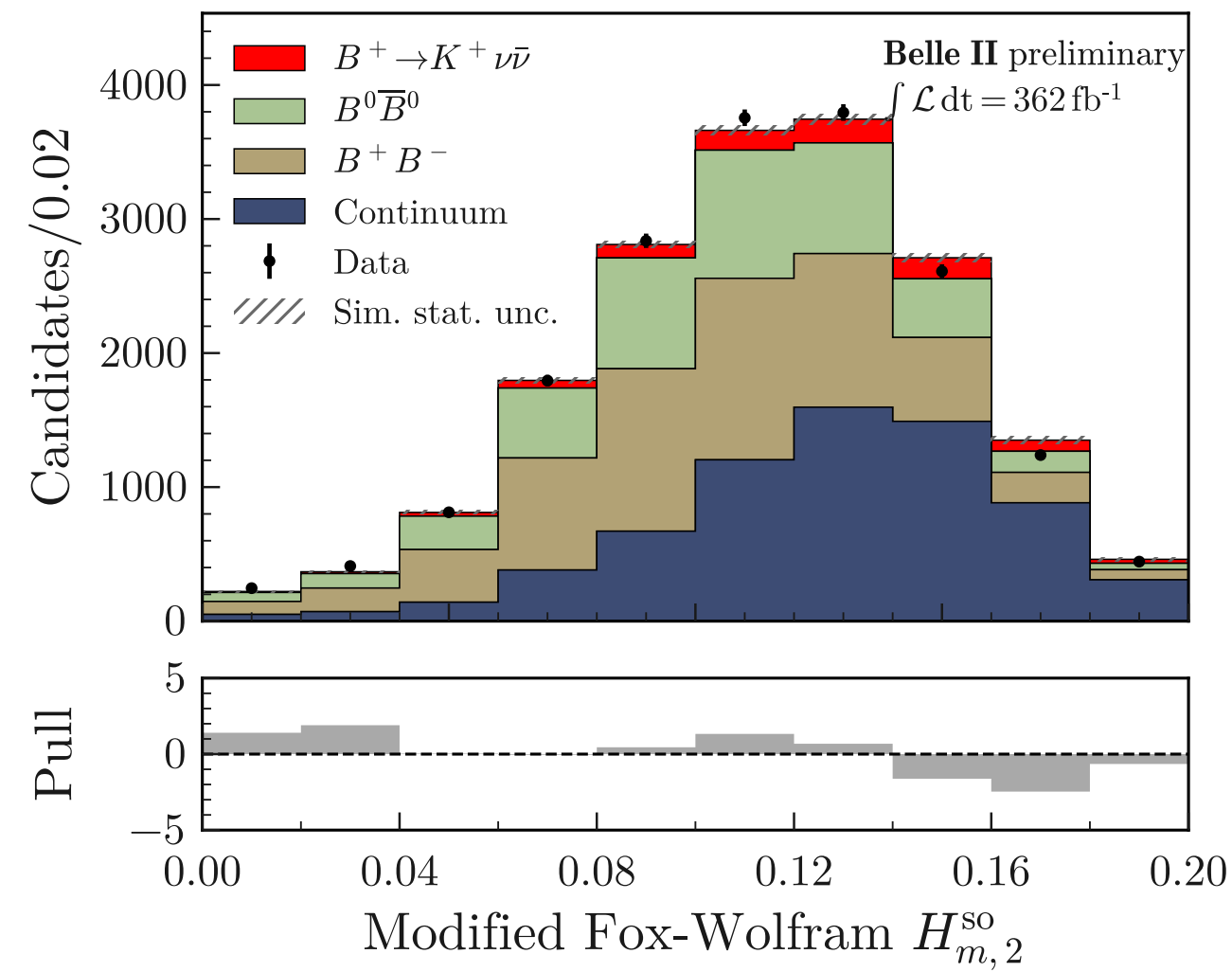
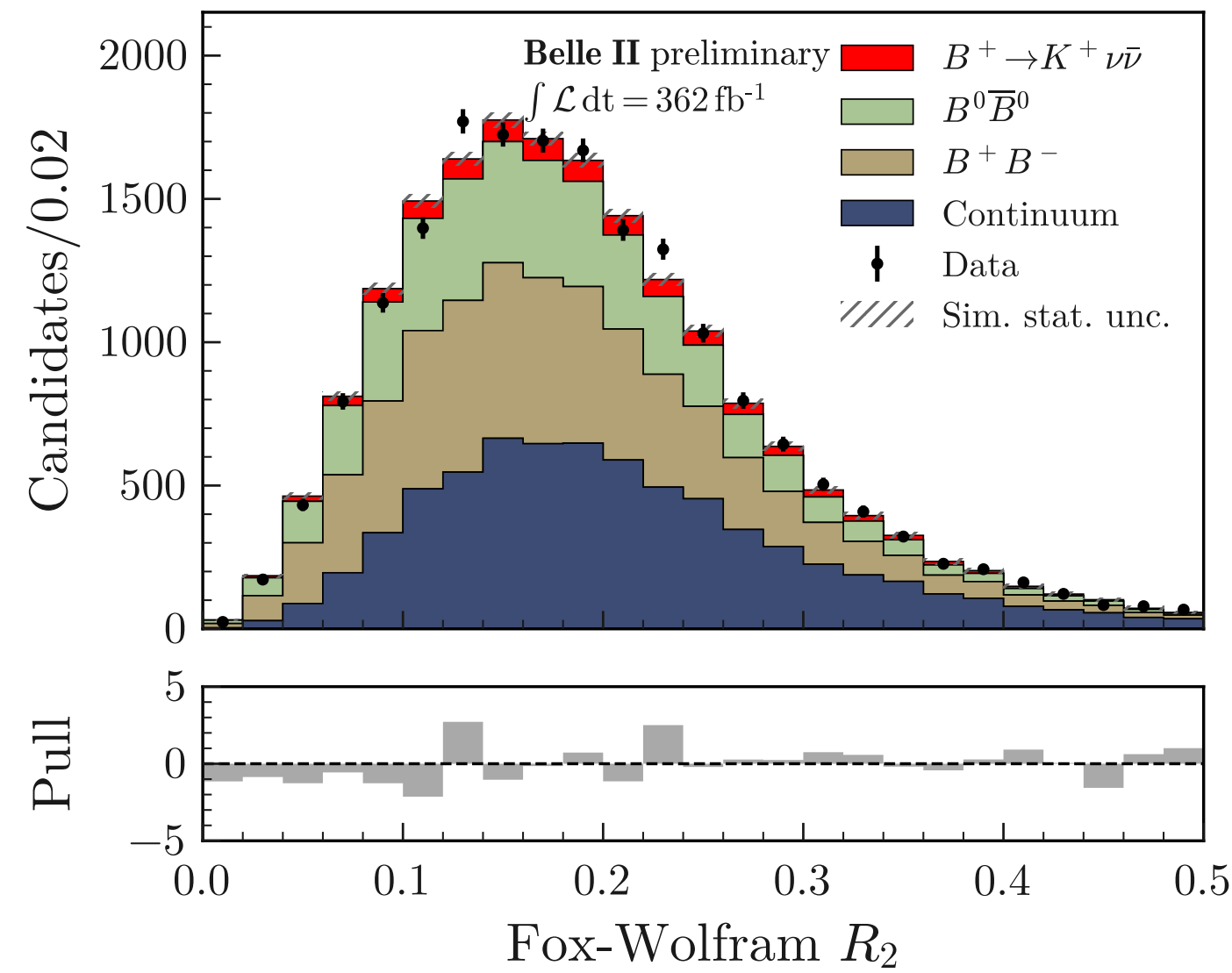


$$\Delta E = E_B^* - \sqrt{s}/2$$

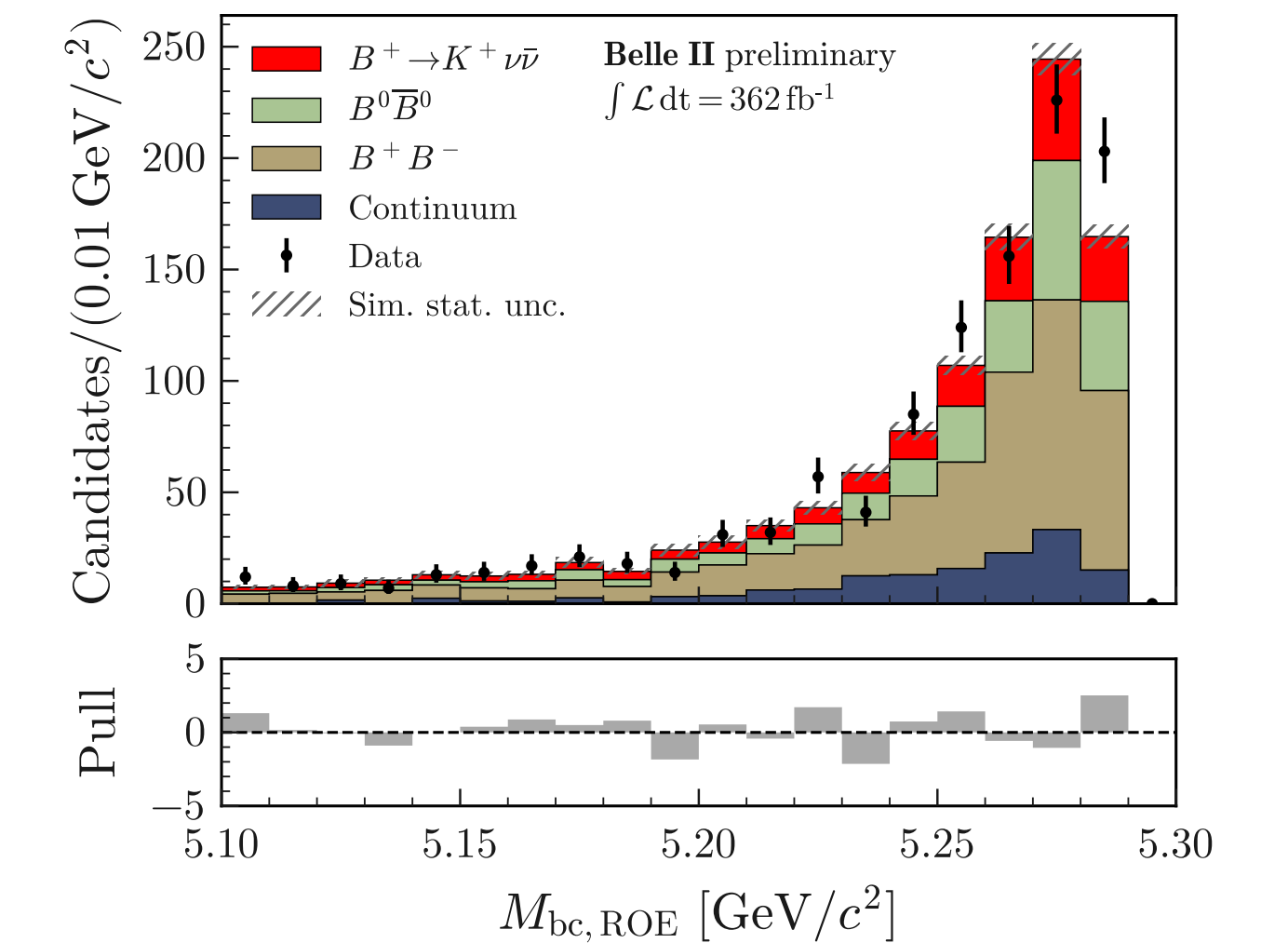
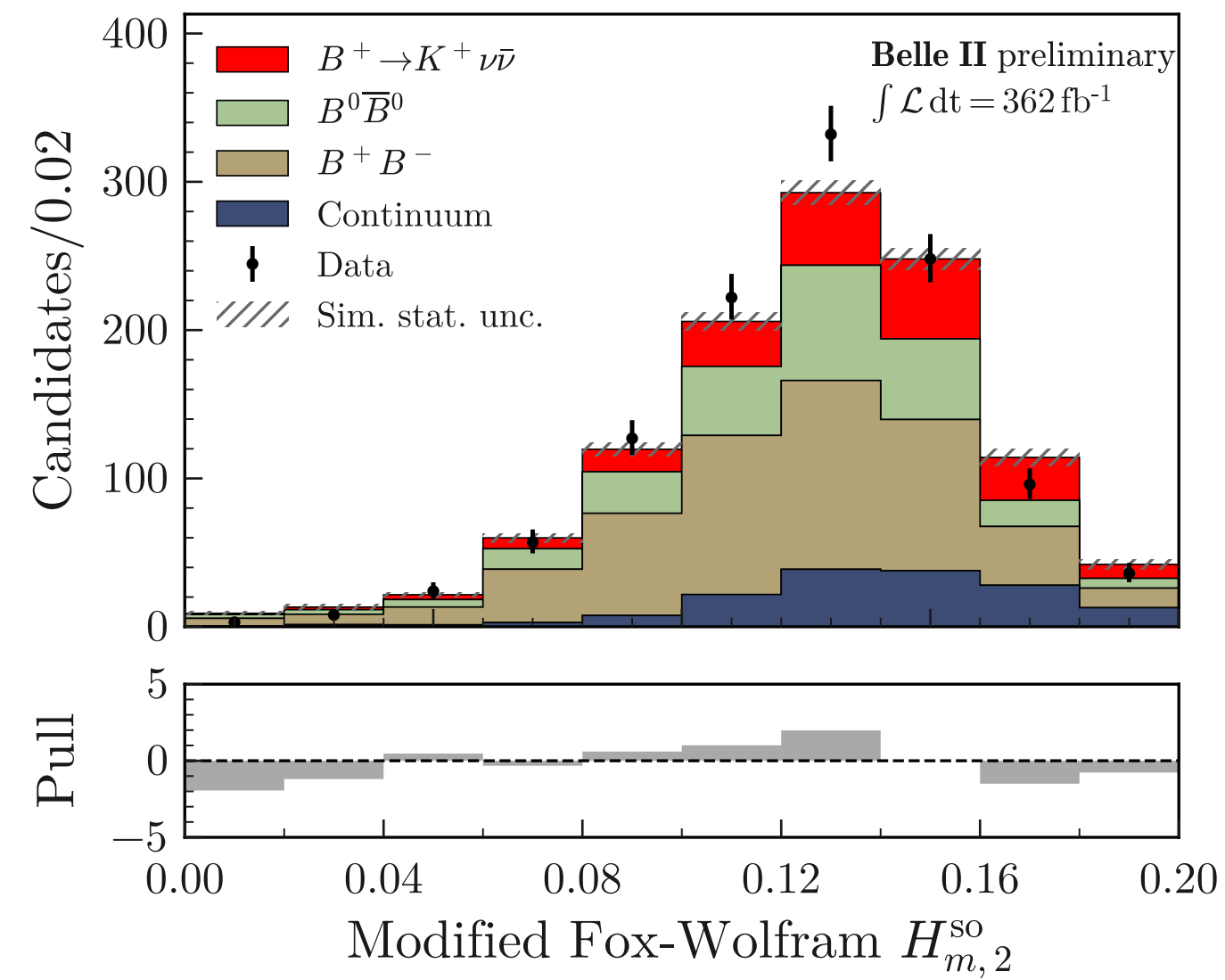
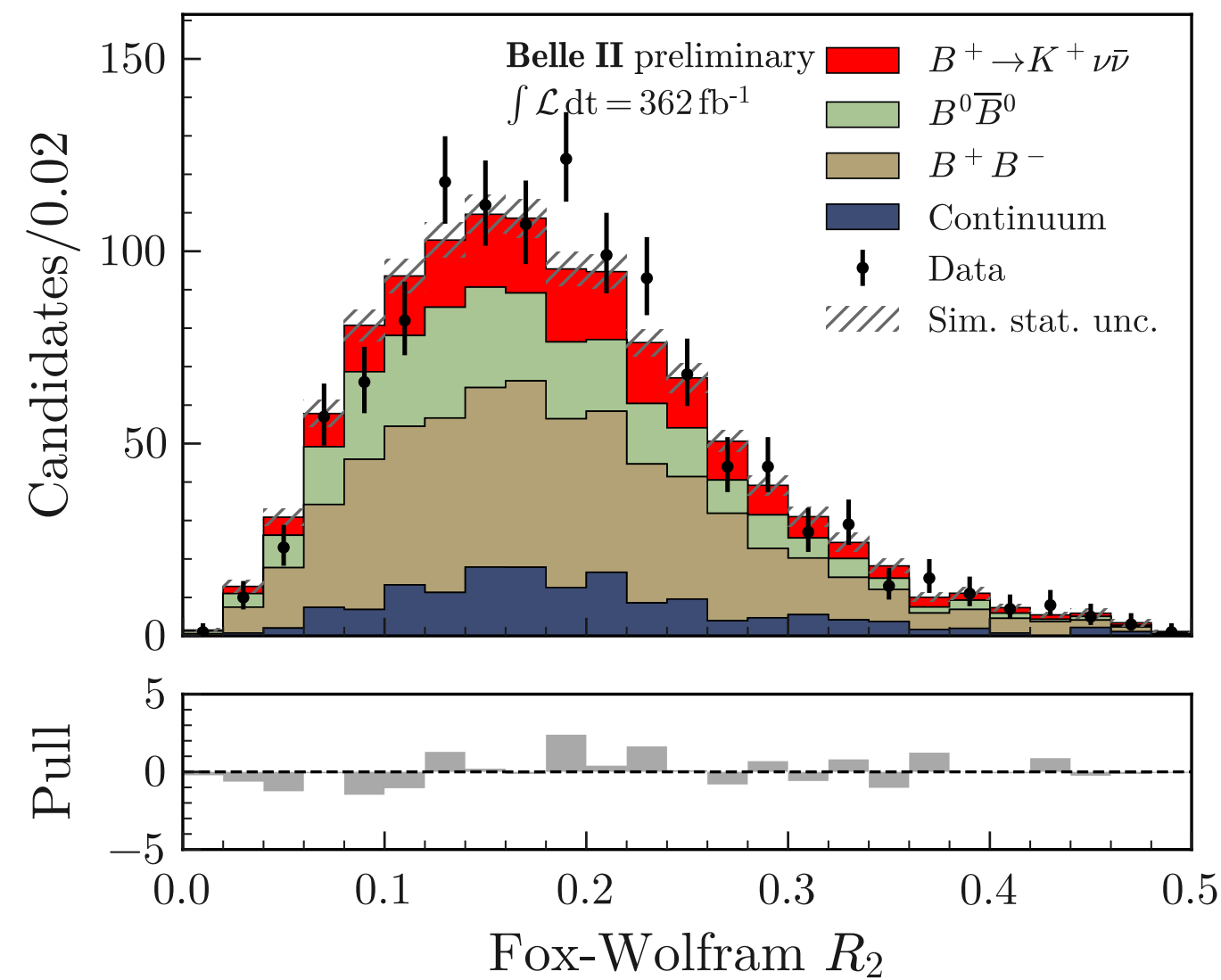
Observed minus expected  $B$  energy

# ITA Results: Post-fit distributions

$\mu(BDT_2) > 0.92$

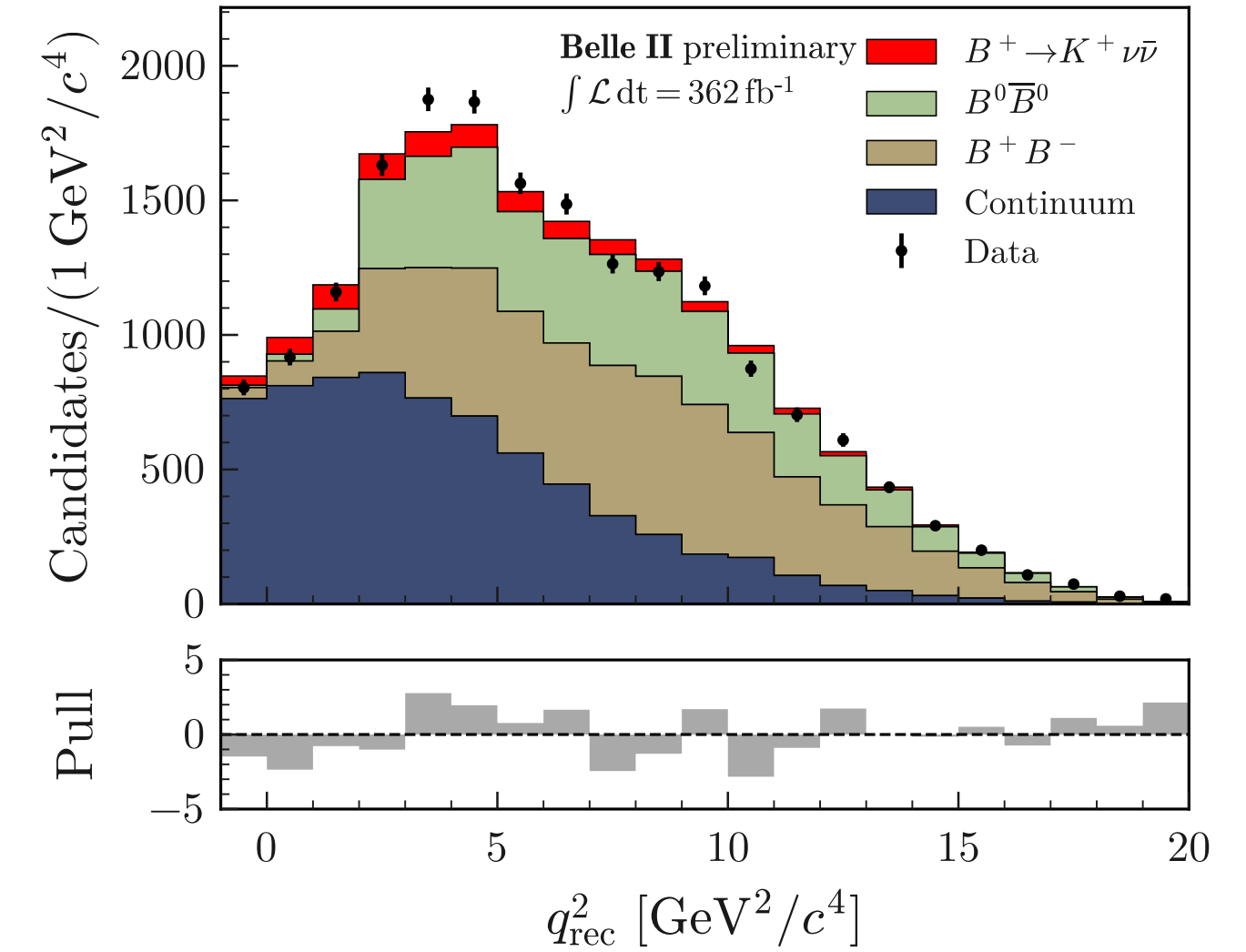
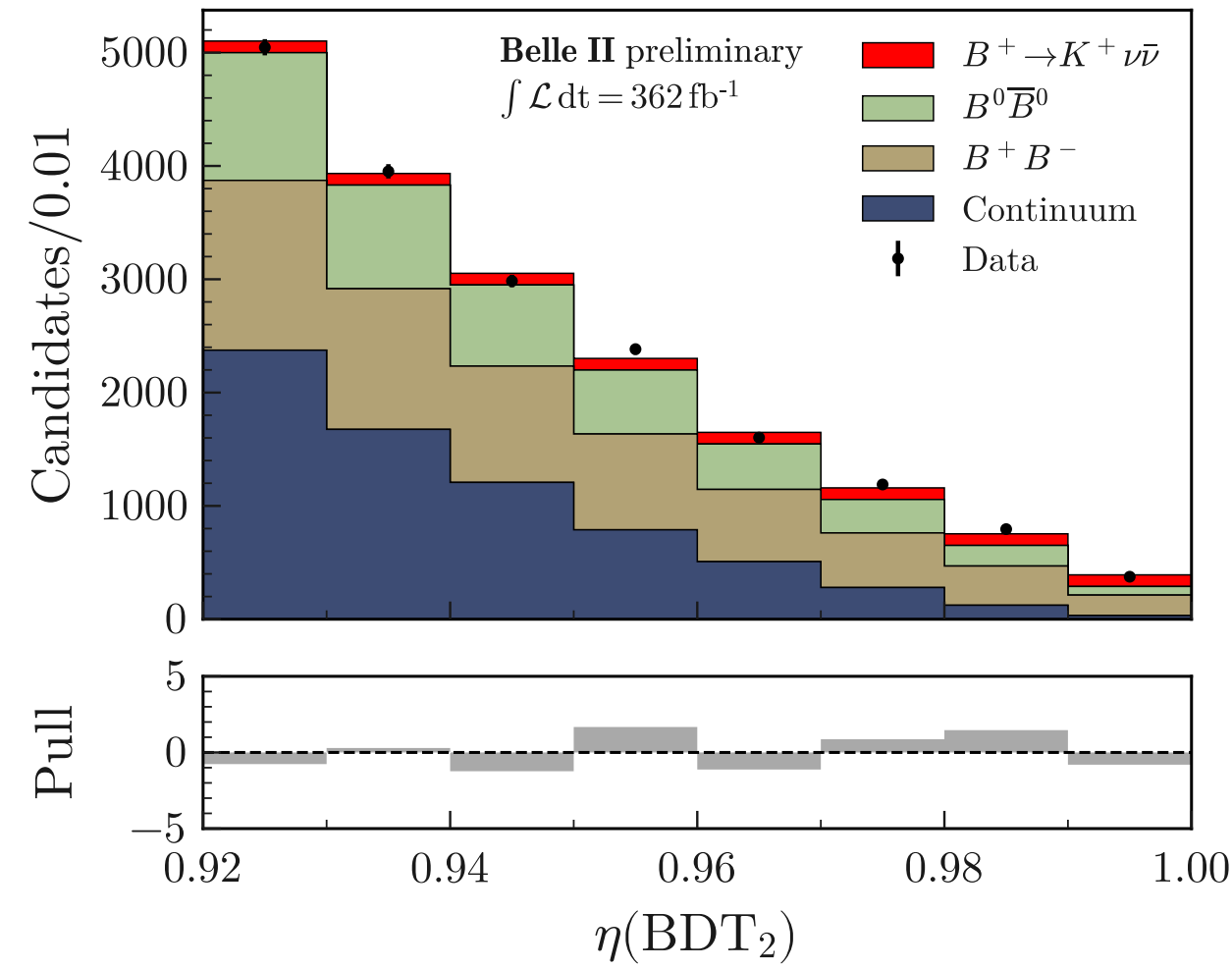
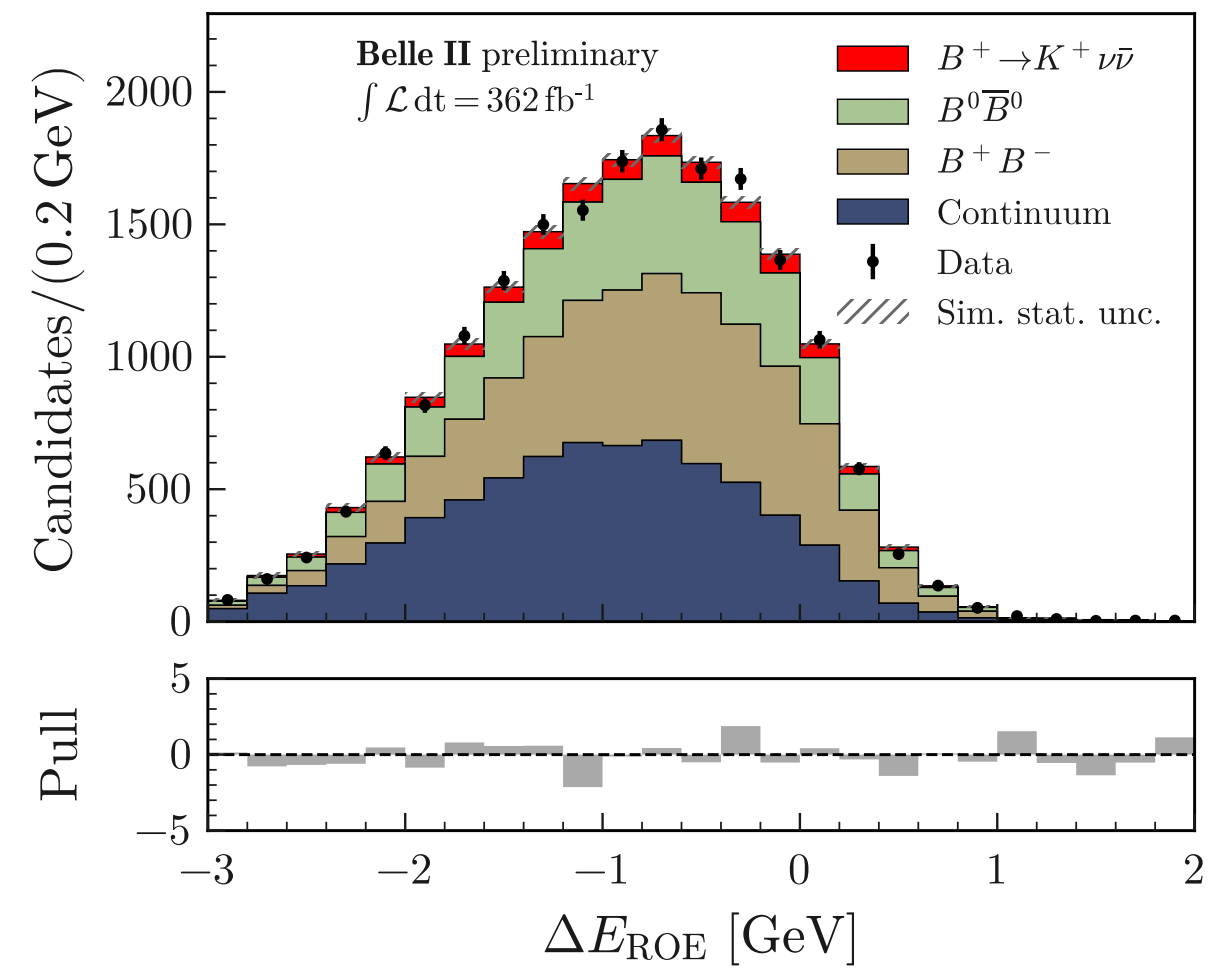


$\mu(BDT_2) > 0.98$

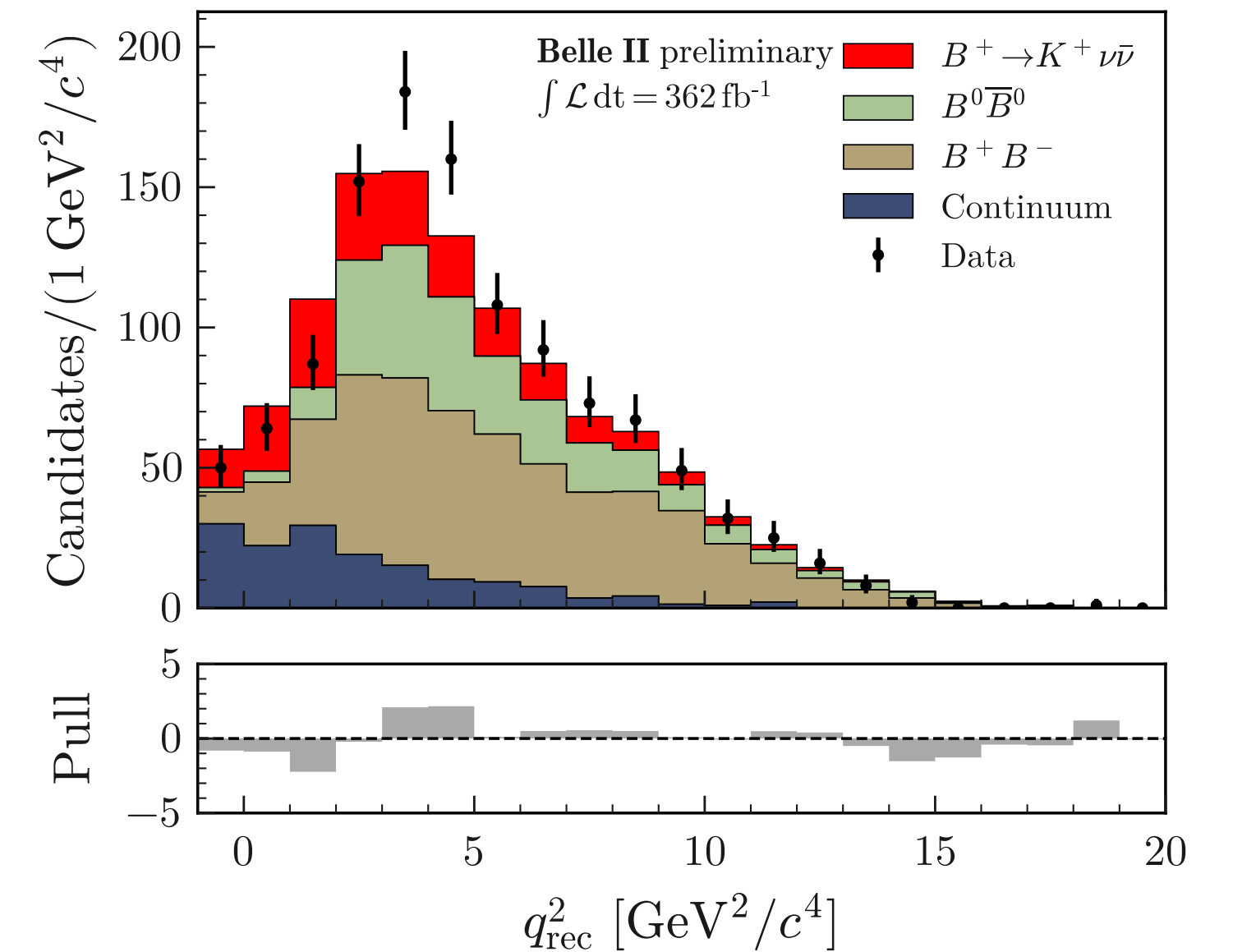
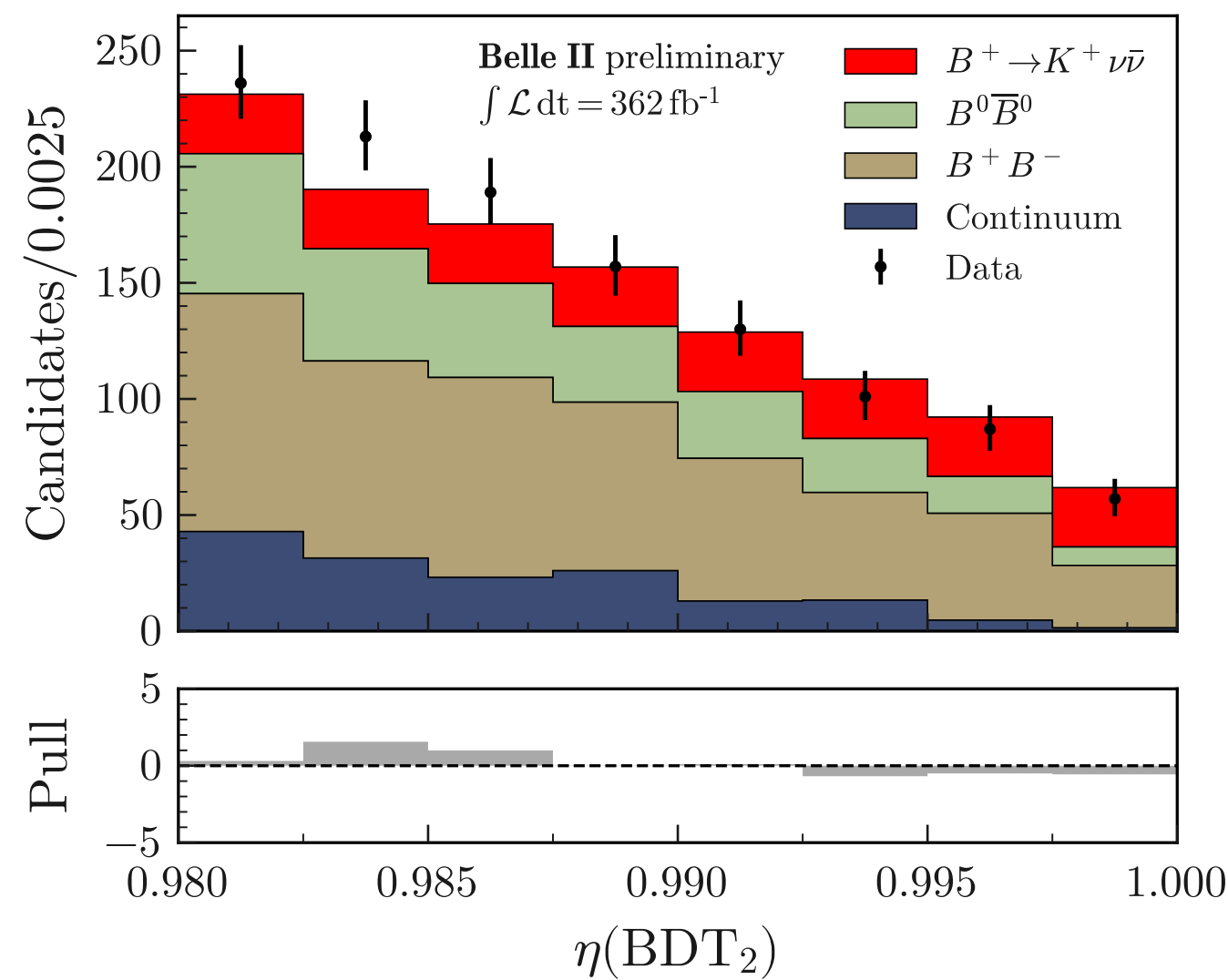
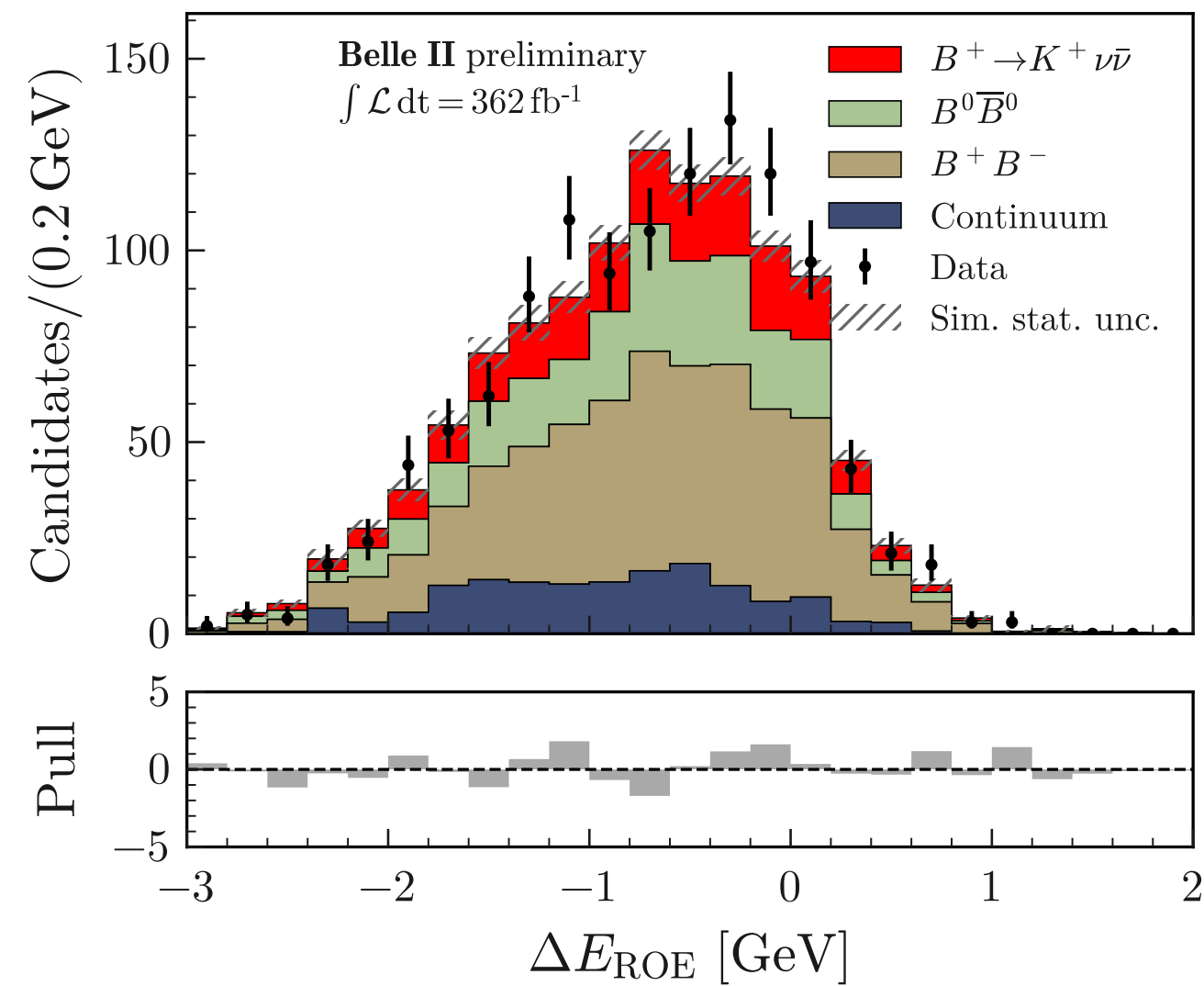


# ITA Results: Post-fit distributions

$\eta(\text{BDT}_2) > 0.92$



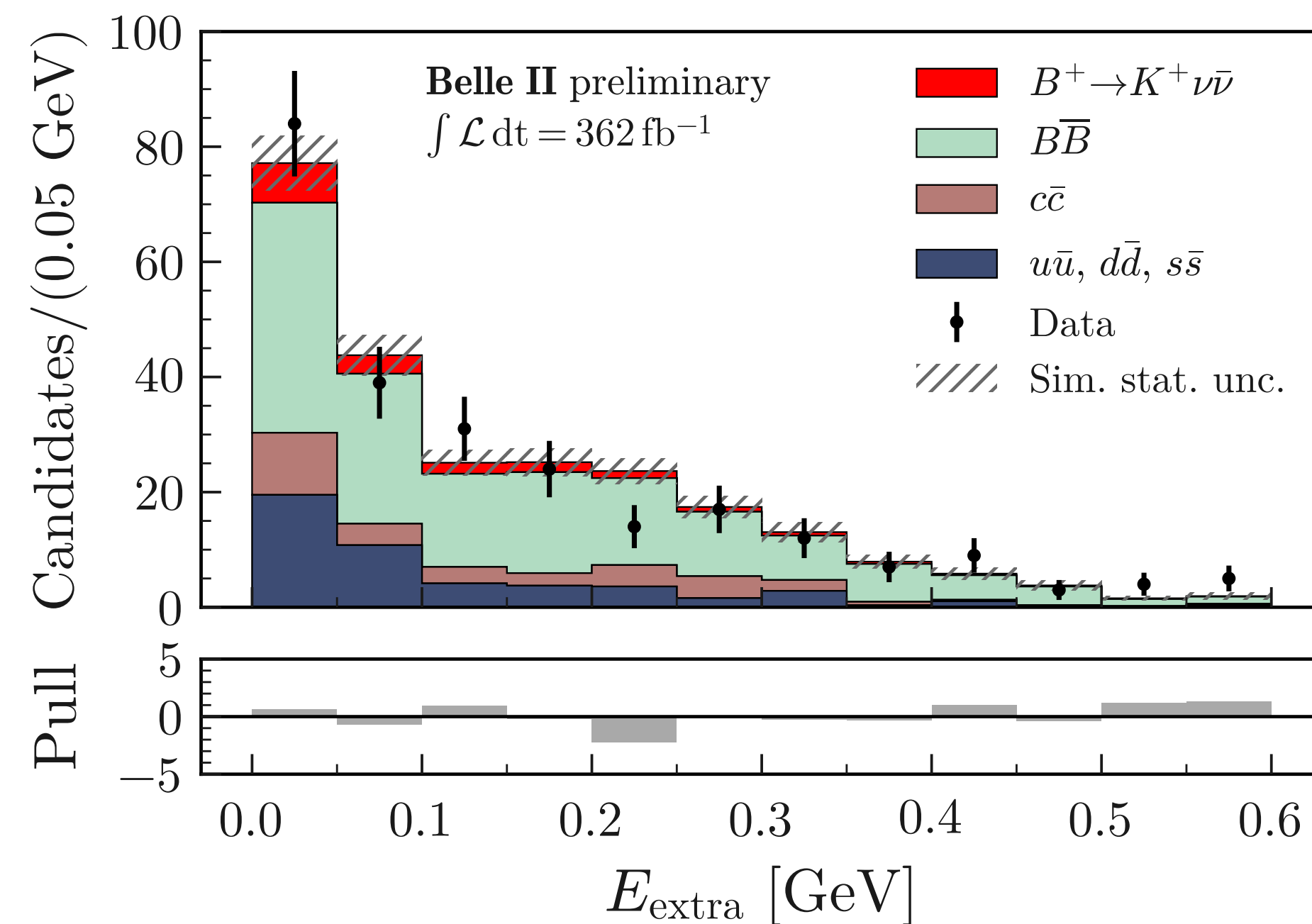
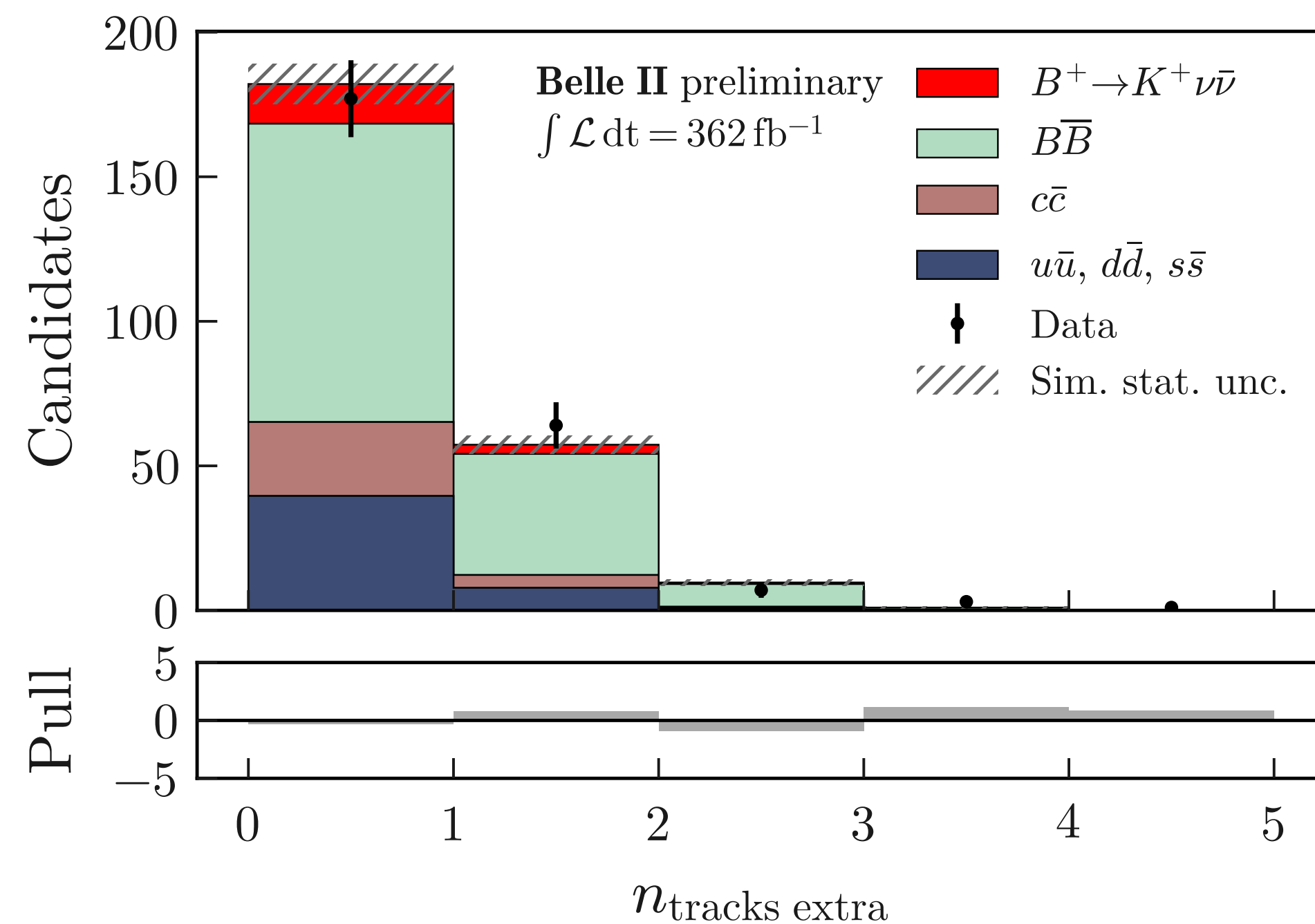
$\eta(\text{BDT}_2) > 0.98$



# HTA Results: Post-fit distributions

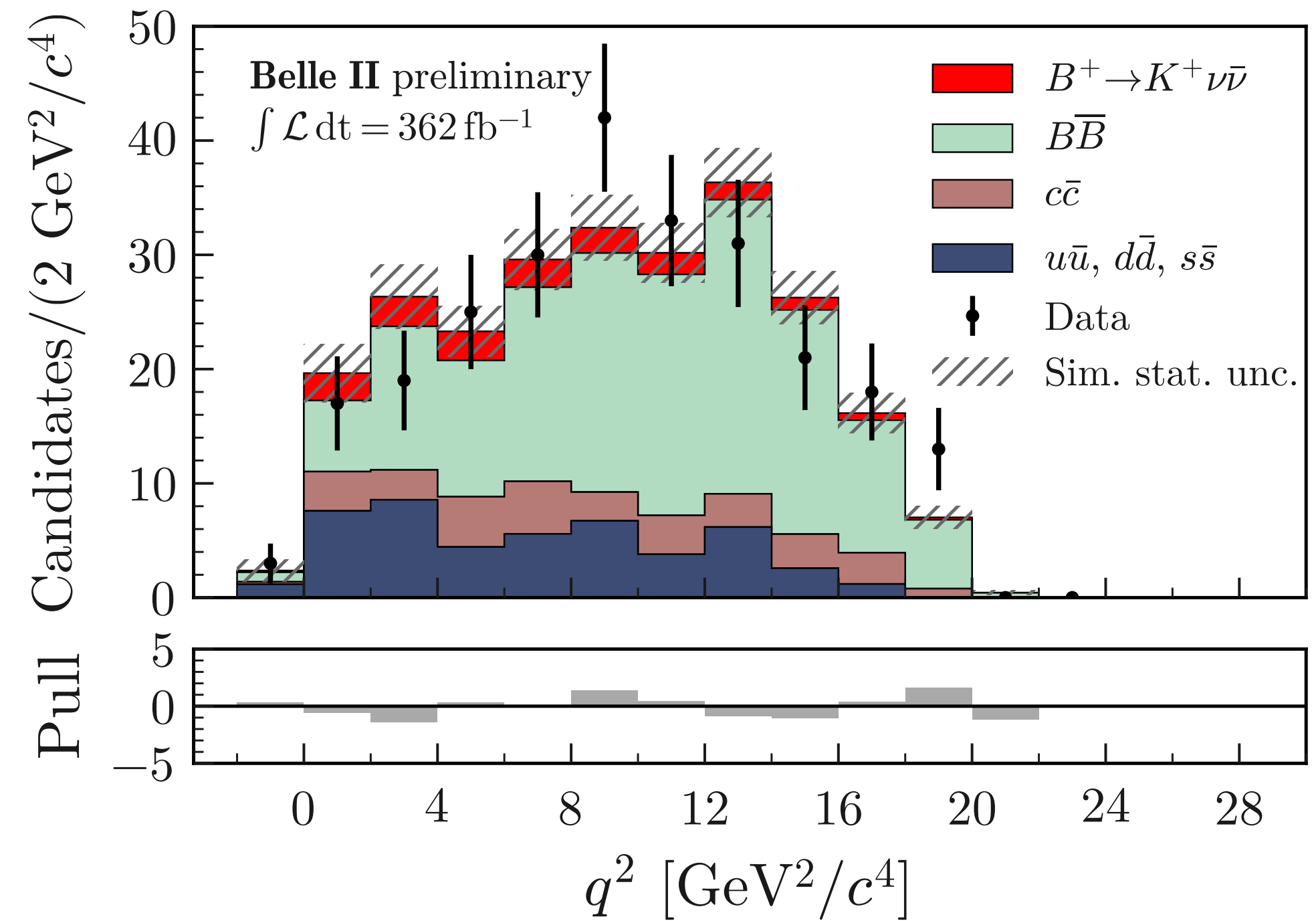
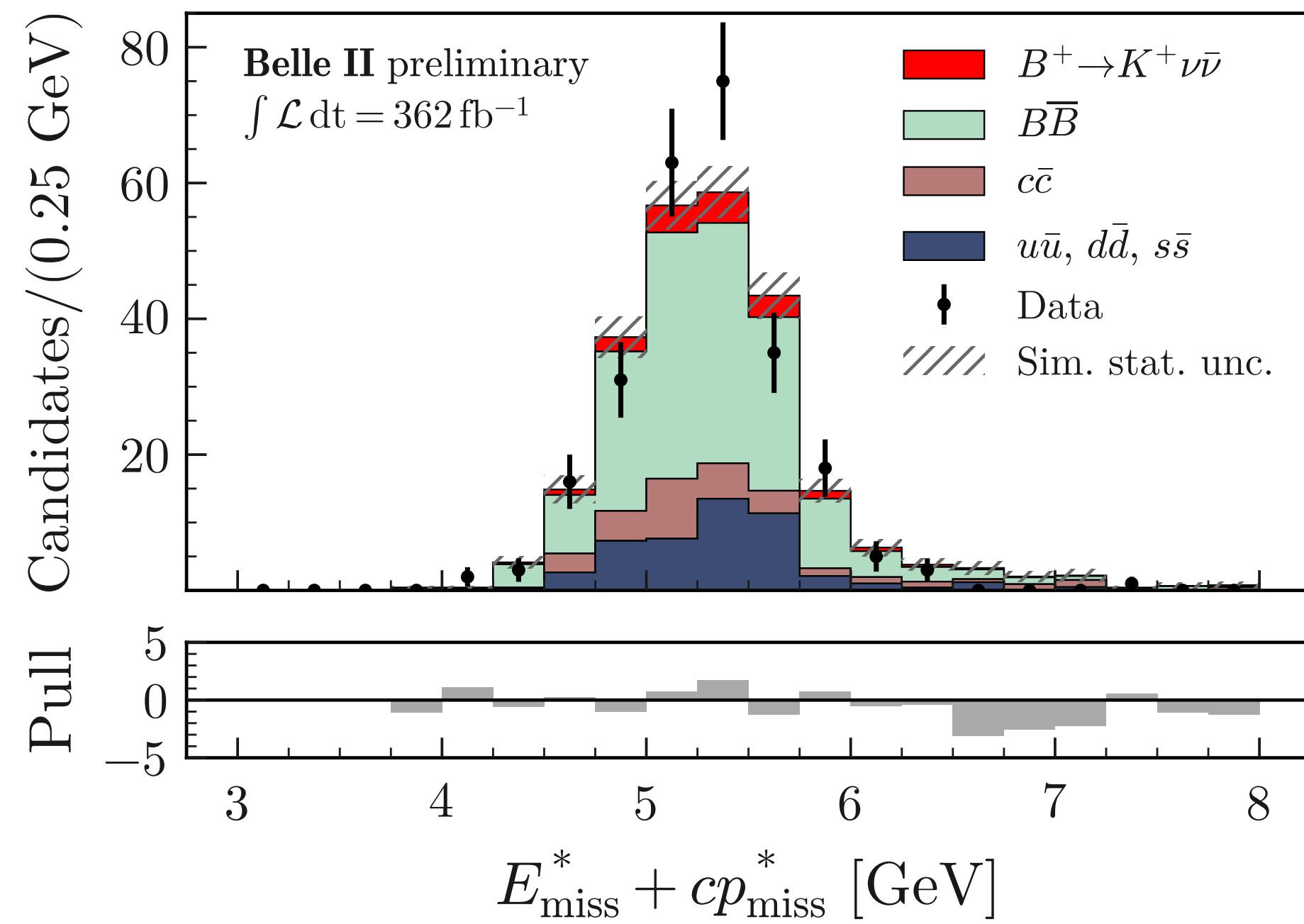
Examples:

HTA Signal region  $\eta(\text{BDTh}) > 0.4$



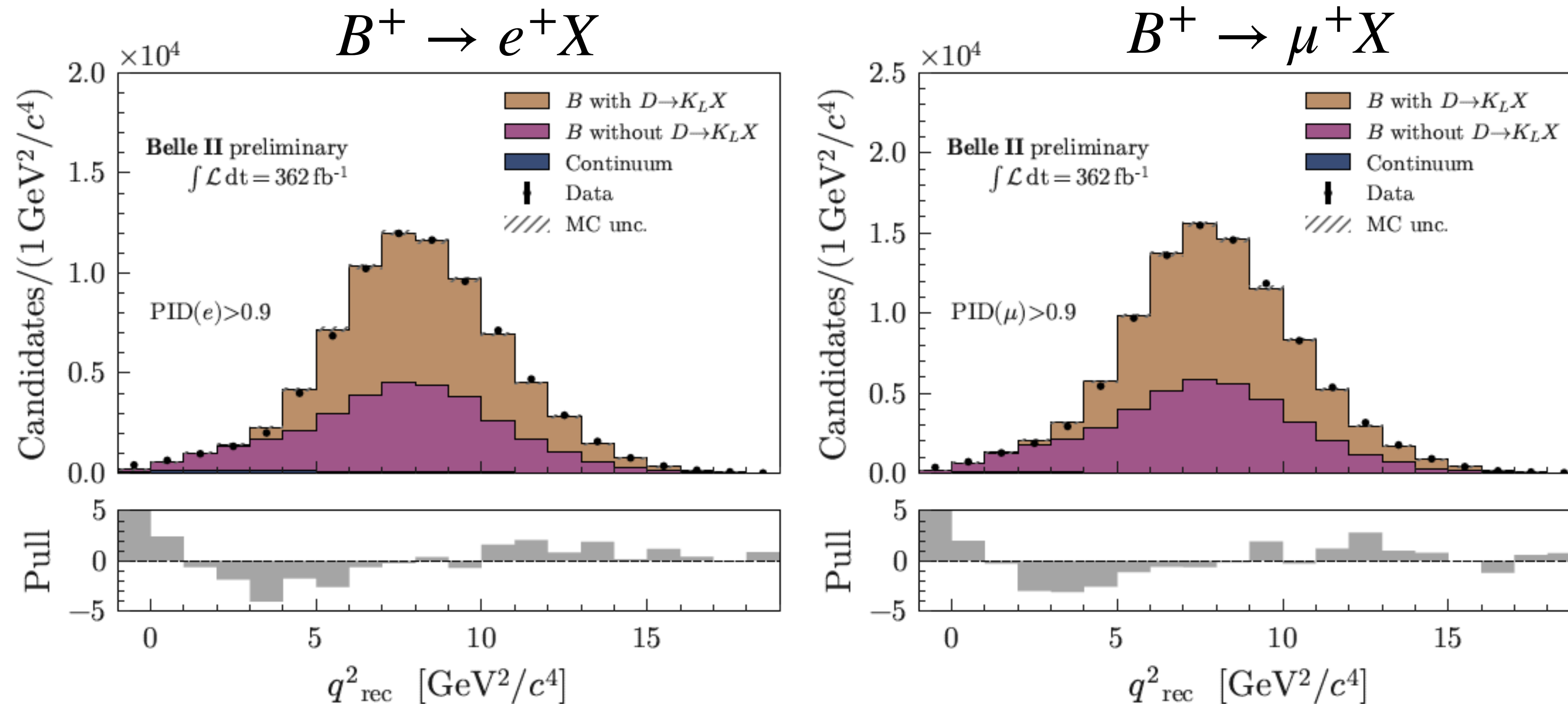


# HTA Results: Post-fit distributions



# Lepton-ID sidebands

Also lepton-enriched samples are used to validate the method  
 **$e/\mu$  ID instead of K ID:  $B^+ \rightarrow e^+X$  and  $B^+ \rightarrow \mu^+X$**

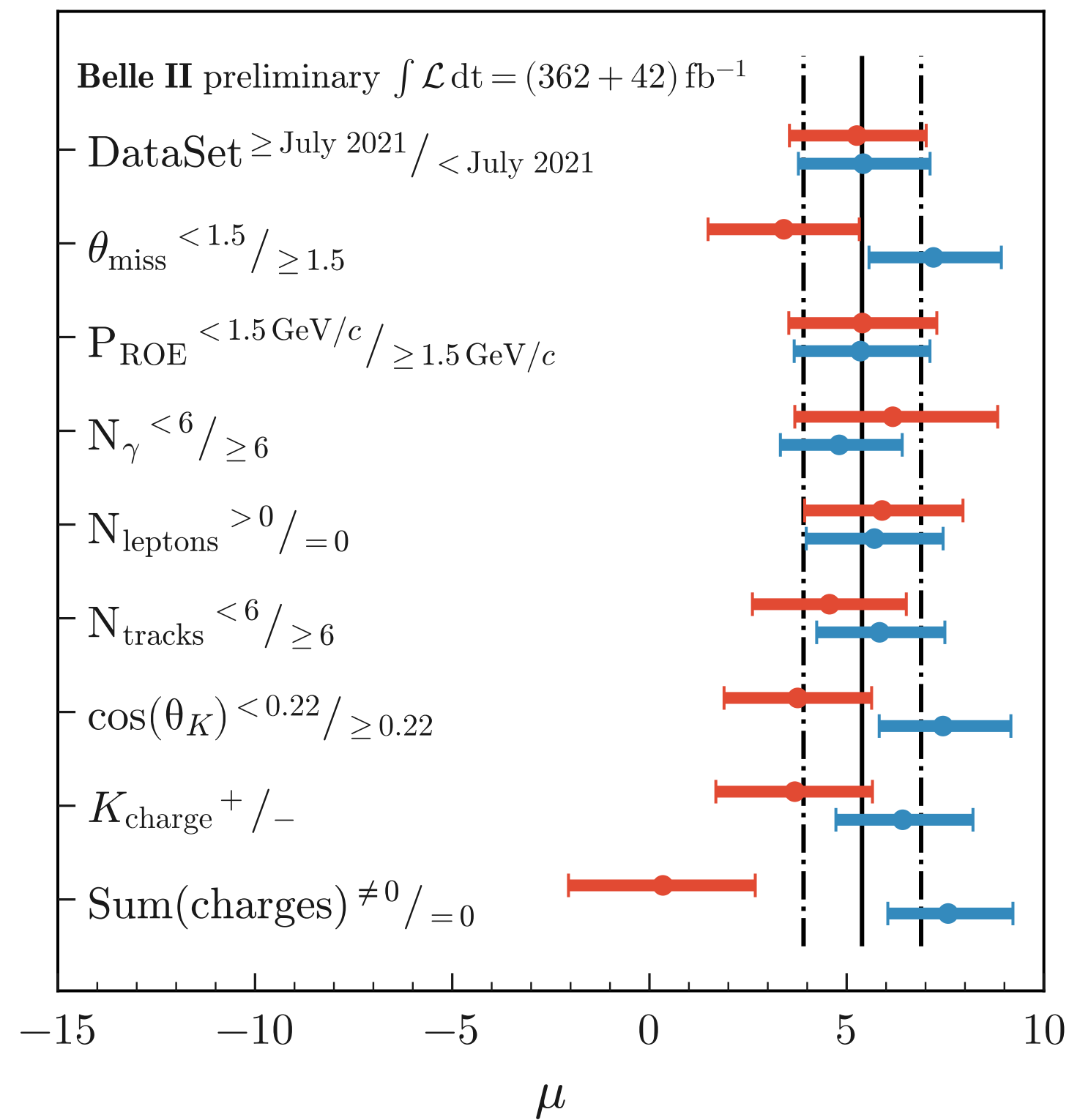


The correction factors found in the three sidebands  
are within 10% => considered a systematic uncertainty

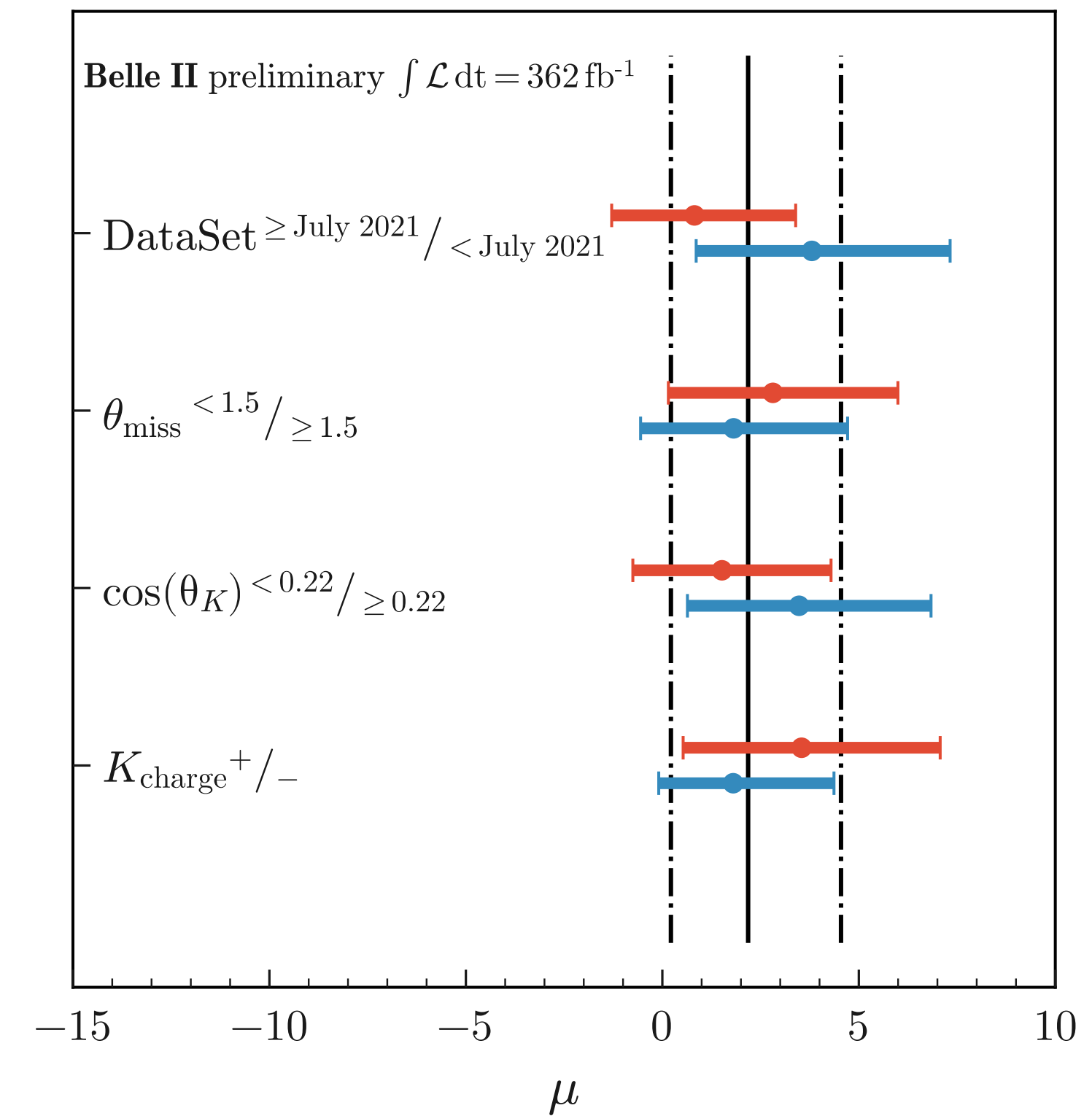
# Half-split samples

Stability checks by splitting the sample into pairs of statistically independent datasets, according to various features

ITA



HTA



# B- $\rightarrow$ Knn bar

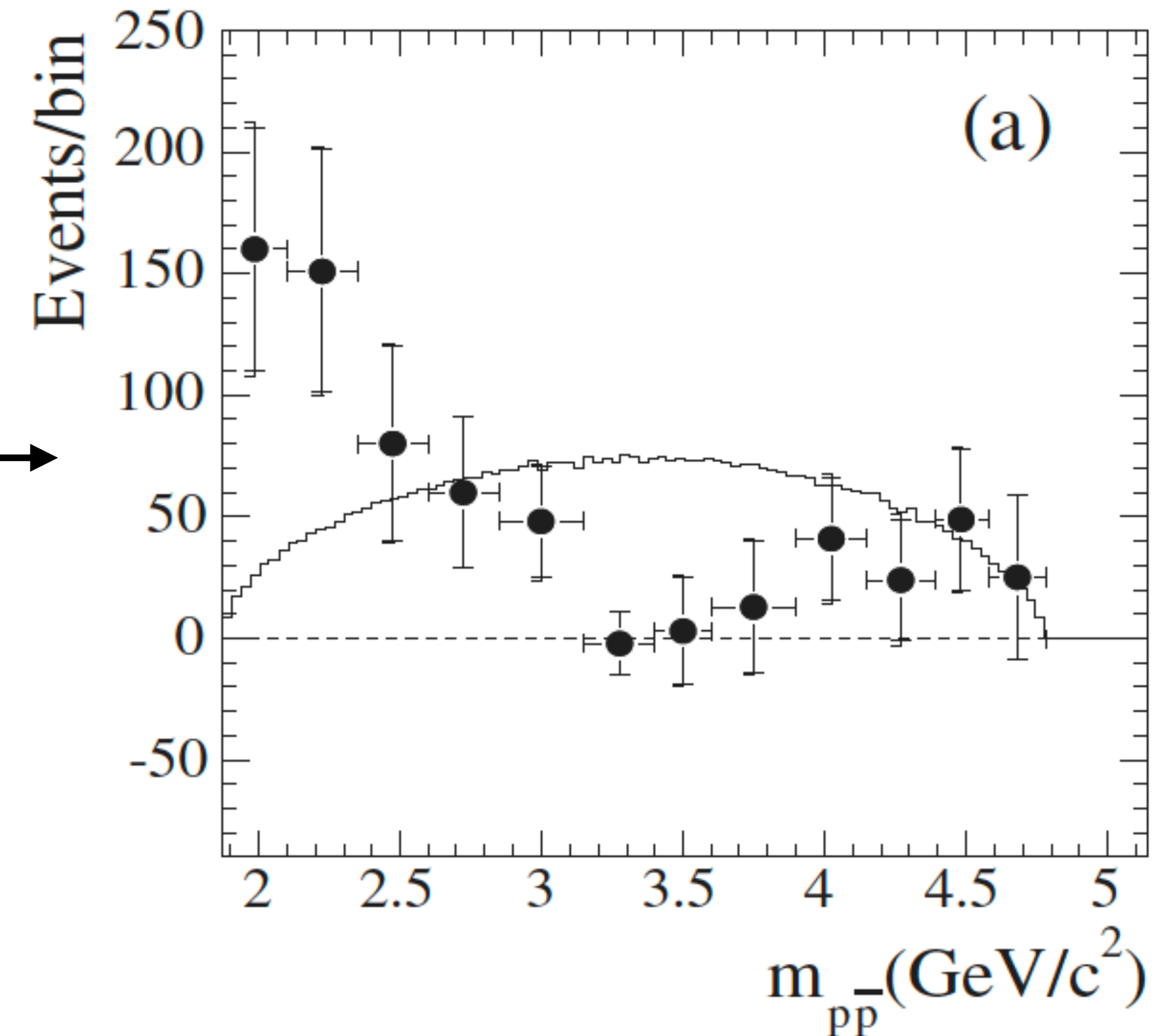
## Treatment of the background source:

$$B^+ \rightarrow K^+ n \bar{n}$$

- Neutrons can escape the ECL detector
- $B^+ \rightarrow K^+ n \bar{n}$  is not measured, use the isospin partner process:  $B^0 \rightarrow K^0 p \bar{p}$
- BaBar data show a threshold enhancement not modeled in the three-body phase-space MC

shape and rate modeled according to BaBar data and assigned a 100% uncertainty

[PhysRevD.76.092004](#)



# Reconstruction and basic selection I

Objects definition:

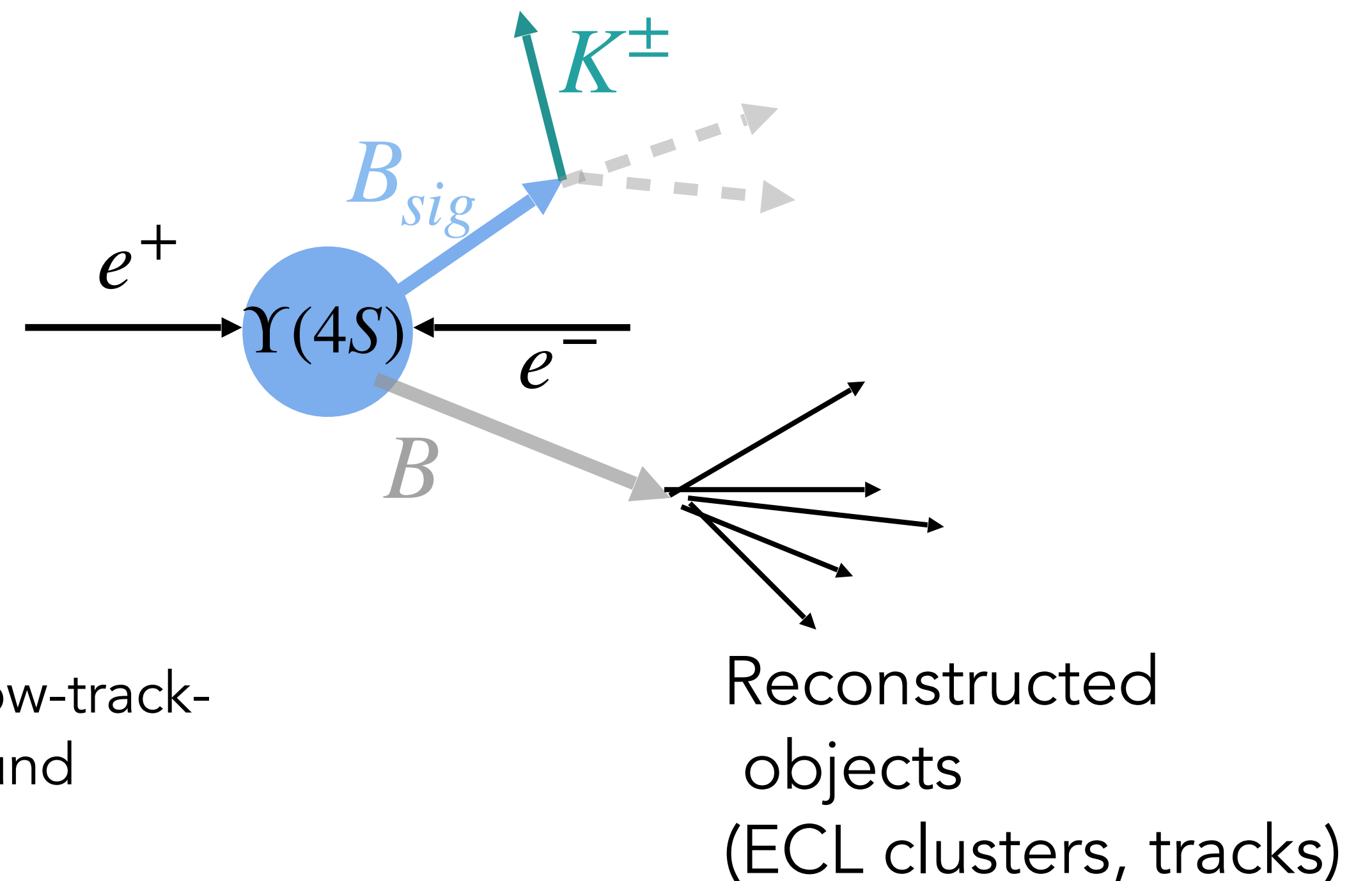
- **Charged particles:** *good quality* tracks with impact parameters close to the interaction point, with  $p_T > 0.1 \text{ GeV}$  and within CDC acceptance
  - **Photons:** ECL clusters not matched to tracks and with  $E > 0.1 \text{ GeV}$
  - **$K_S$**  reconstruction with displaced vertex
- Each of the charged particles and photons is required to have an energy of less than 5.5 GeV to reject mis-reconstructed particles and cosmic muons
  - Total energy  $> 4 \text{ GeV}$

First event cleaning:

$$4 \leq N_{tracks} \leq 10$$

$$17^\circ \leq \theta_{miss}^* \leq 160^\circ$$

$N_{track} > 4$  to reject low-track-multiplicity background events ( $\gamma\gamma, \dots$ )



# Input variables BDTs

## Variables related to the kaon candidate

- Radial distance between the POCA of the  $K^+$  candidate track and the IP (BDT<sub>2</sub>)
- Cosine of the angle between the momentum line of the signal kaon candidate and the  $z$  axis (BDT<sub>2</sub>)

## Variables related to the tracks and energy deposits of the rest of the event (ROE)

- Two variables corresponding to the  $x, z$  components of the vector from the average interaction point to the ROE vertex (BDT<sub>2</sub>)
- $p$ -value of the ROE vertex fit (BDT<sub>2</sub>)
- Variance of the transverse momentum of the ROE tracks (BDT<sub>2</sub>)
- Polar angle of the ROE momentum (BDT<sub>1</sub>, BDT<sub>2</sub>)
- Magnitude of the ROE momentum (BDT<sub>1</sub>, BDT<sub>2</sub>)
- ROE-ROE ( $\infty$ ) modified Fox-Wolfram moment calculated in the c.m. (BDT<sub>1</sub>, BDT<sub>2</sub>)
- Difference between the ROE energy in the c.m. and the energy of one beam of c.m. ( $\sqrt{s}/2$ ) (BDT<sub>1</sub>, BDT<sub>2</sub>)

# Input variables BDTs

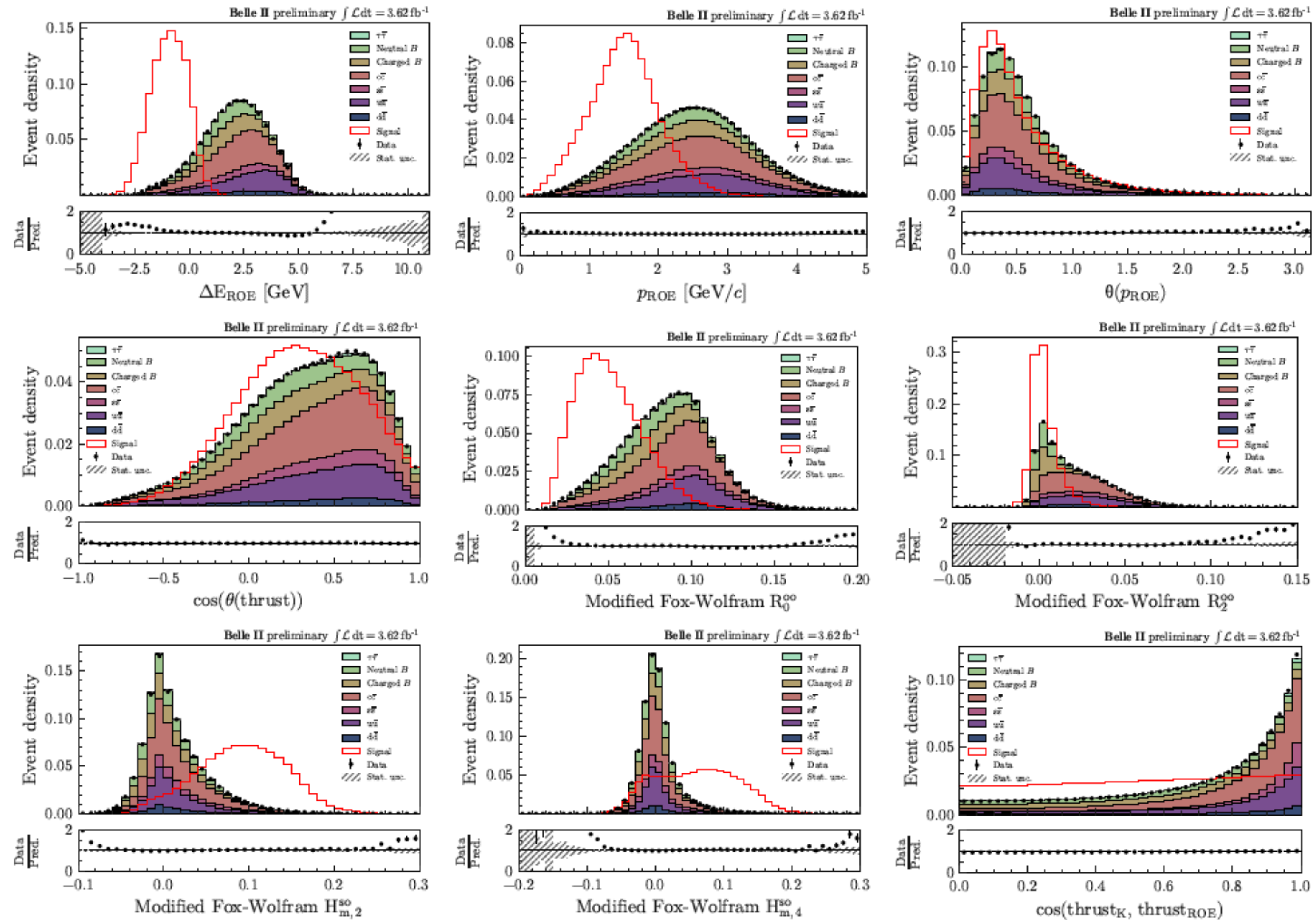
## Variables related to the entire event

- Number of charged lepton candidates ( $e^\pm$  or  $\mu^\pm$ ) (BDT<sub>2</sub>)
- Number of photon candidates, number of charged particle candidates (BDT<sub>2</sub>)
- Square of the total charge of tracks in the event (BDT<sub>2</sub>)
- Cosine of the polar angle of the thrust axis in the c.m. (BDT<sub>1</sub>, BDT<sub>2</sub>)
- Harmonic moments with respect to the thrust axis in the c.m. [41] (BDT<sub>1</sub>, BDT<sub>2</sub>)
- Modified Fox-Wolfram moments calculated in the c.m. [42] (BDT<sub>1</sub>, BDT<sub>2</sub>)
- Polar angle of the missing three-momentum in the c.m. (BDT<sub>2</sub>)
- Square of the missing invariant mass (BDT<sub>2</sub>)
- Event sphericity in the c.m. [40] (BDT<sub>2</sub>)
- Normalized Fox-Wolfram moments in the c.m. [41] (BDT<sub>1</sub>, BDT<sub>2</sub>)
- Cosine of the angle between the momentum line of the signal kaon track and the ROE thrust axis in the c.m. (BDT<sub>1</sub>, BDT<sub>2</sub>)
- Radial and longitudinal distance between the POCA of the  $K^+$  candidate track and the tag vertex (BDT<sub>2</sub>)

## Variables related to the $D^0/D^+$ suppression

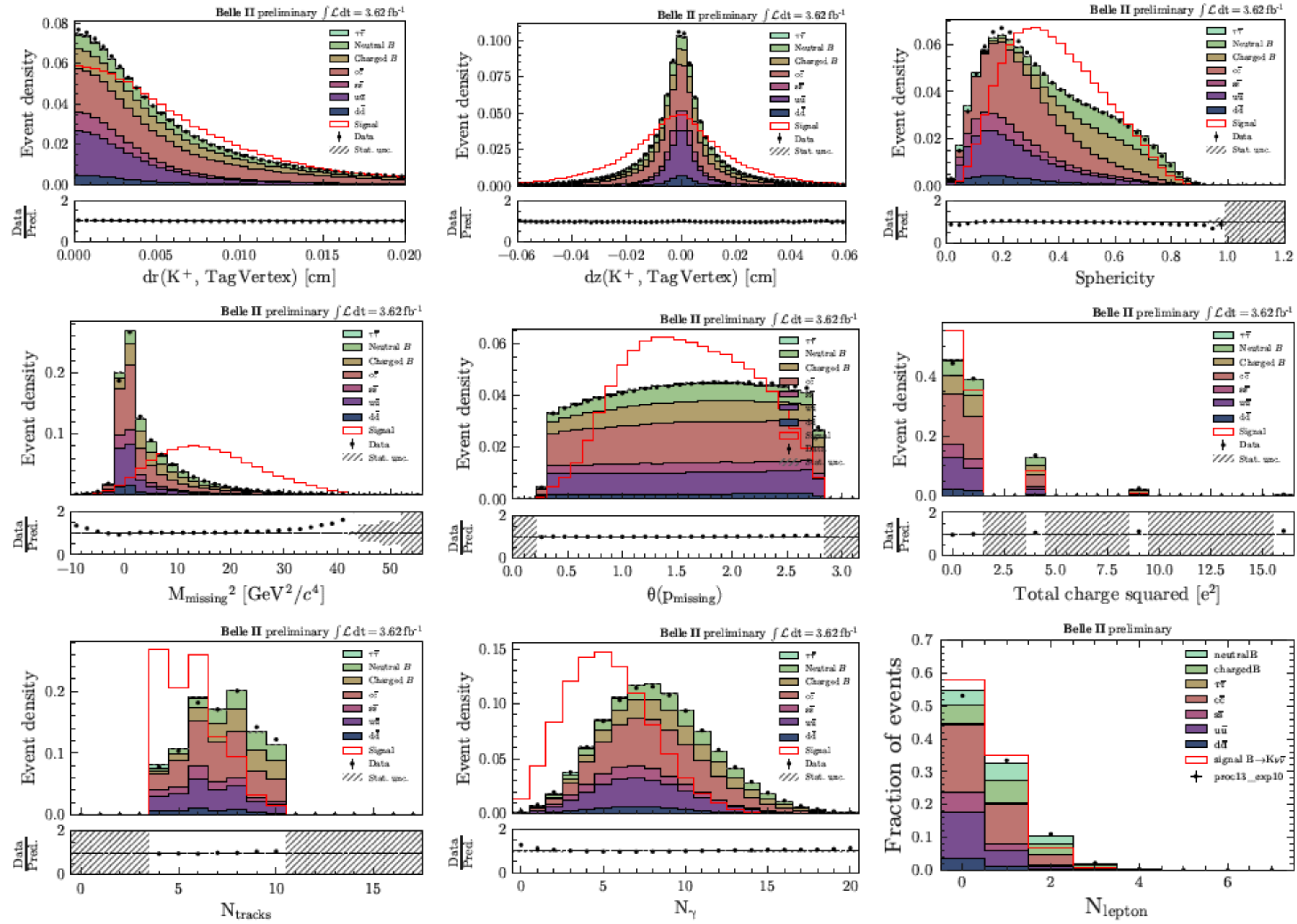
- Radial distance between the best  $D^+$  candidate vertex and the IP (BDT<sub>2</sub>)
- $\chi^2$  of the best  $D^0$  candidate vertex fit and the best  $D^+$  candidate vertex fit (BDT<sub>2</sub>)
- Mass of the best  $D^0$  candidate (BDT<sub>2</sub>)
- Median  $p$ -value of the vertex fits of the  $D^0$  candidates (BDT<sub>2</sub>)

# Input variables BDTs: ITA

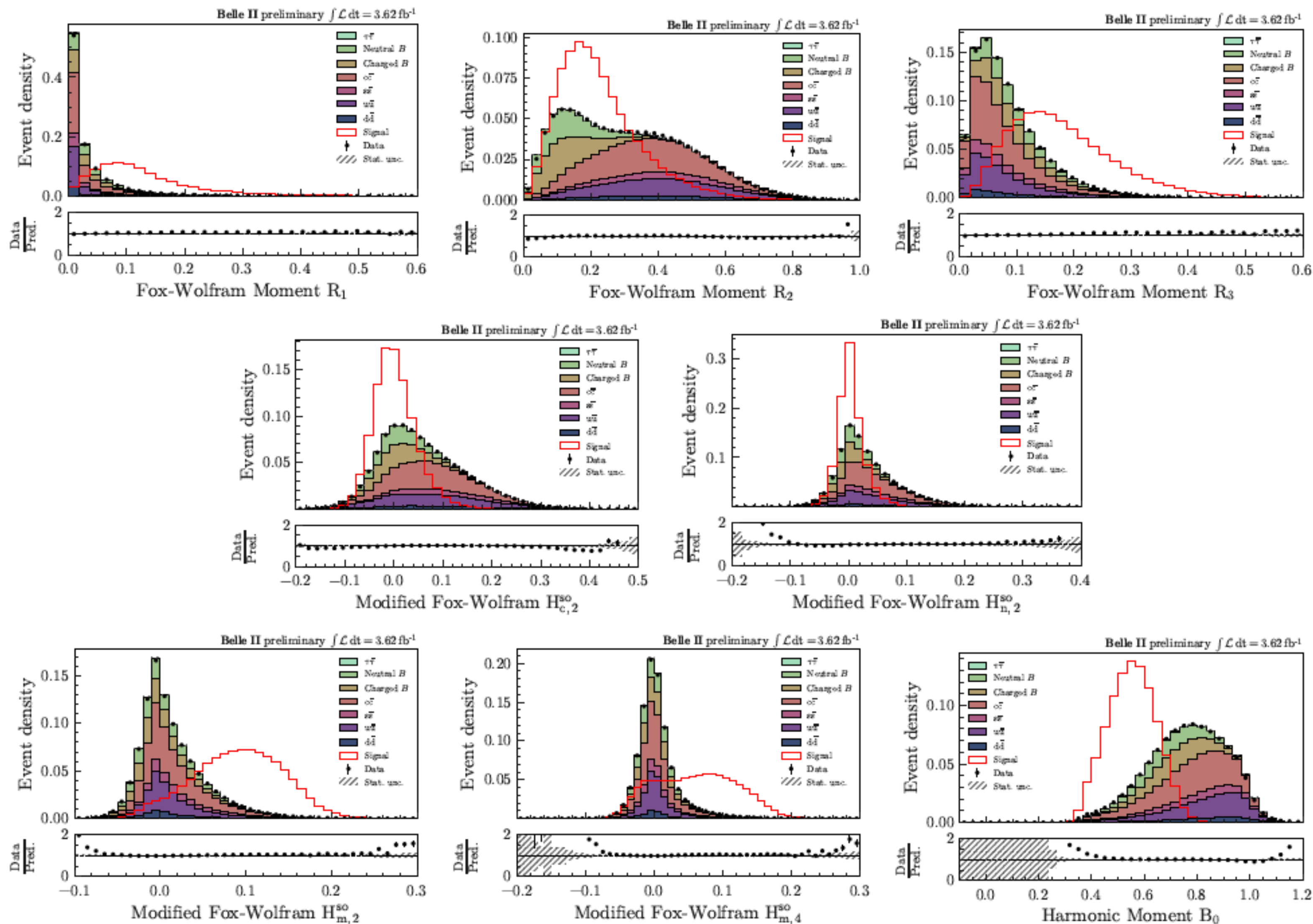




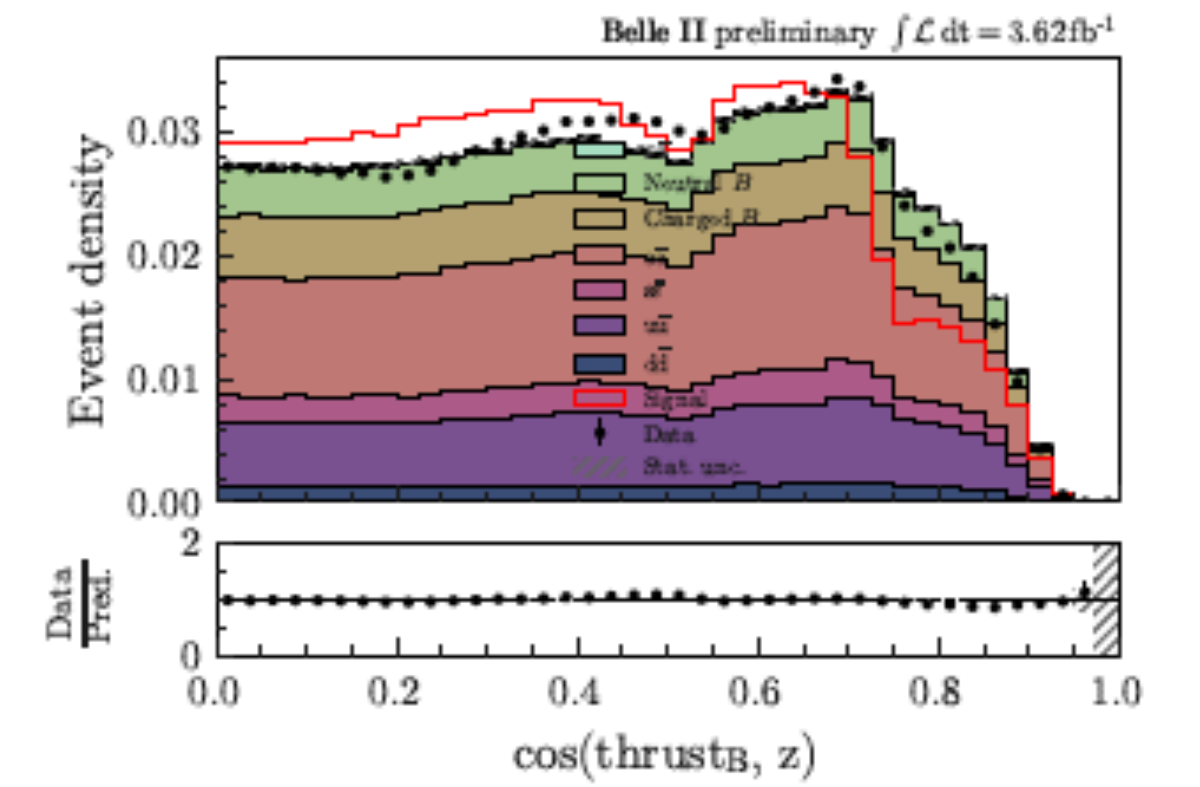
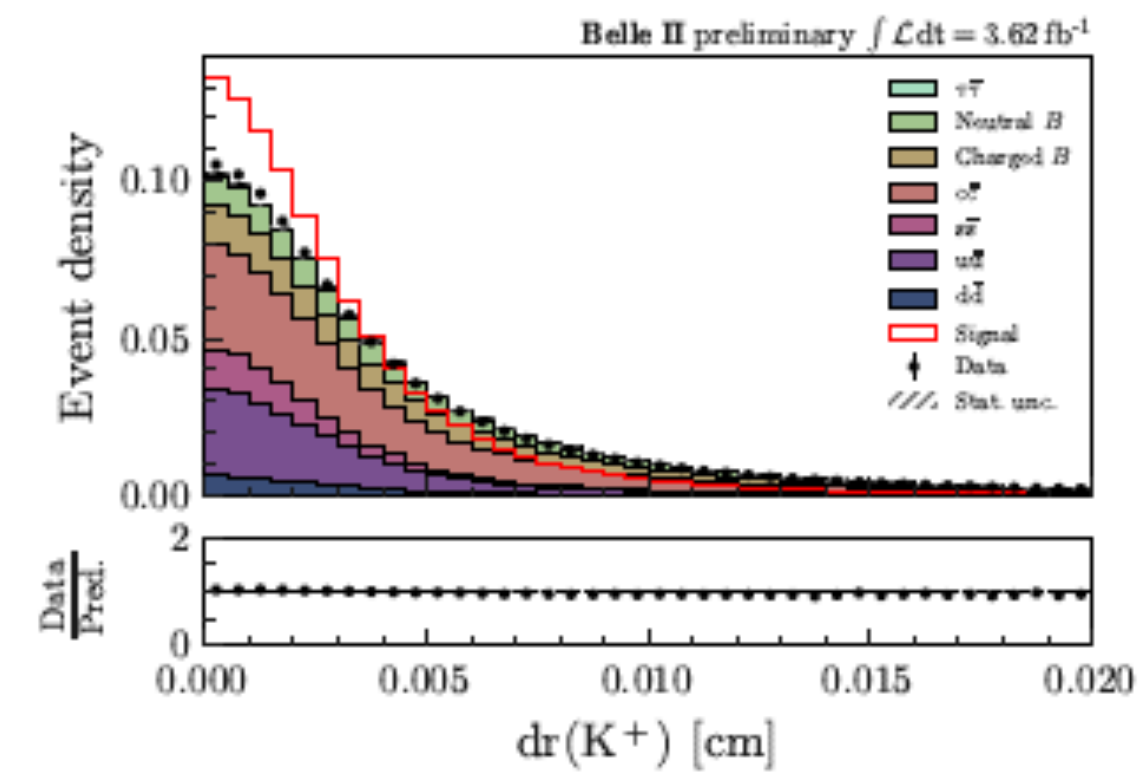
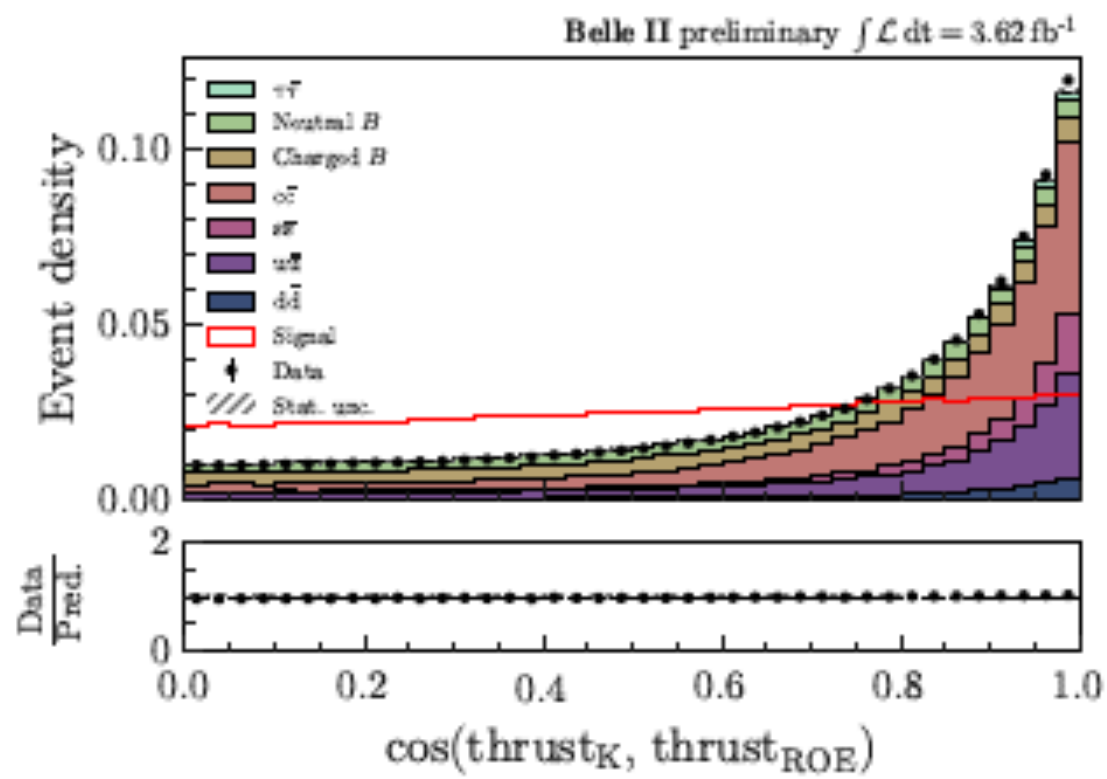
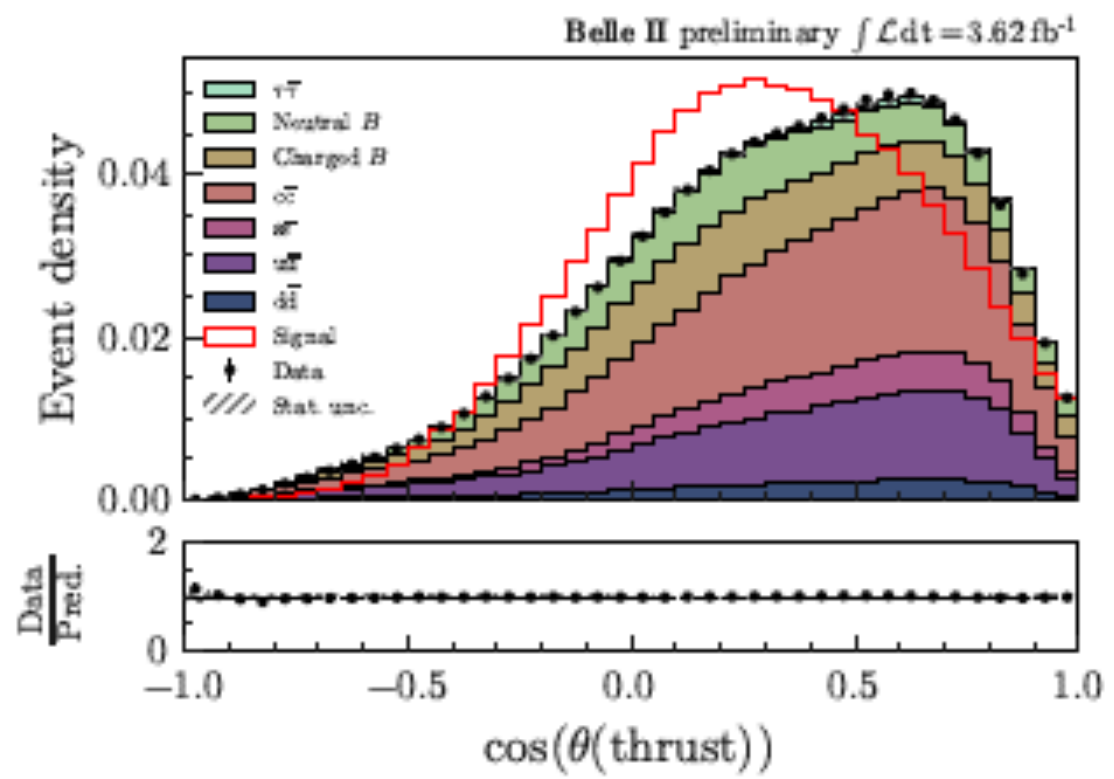
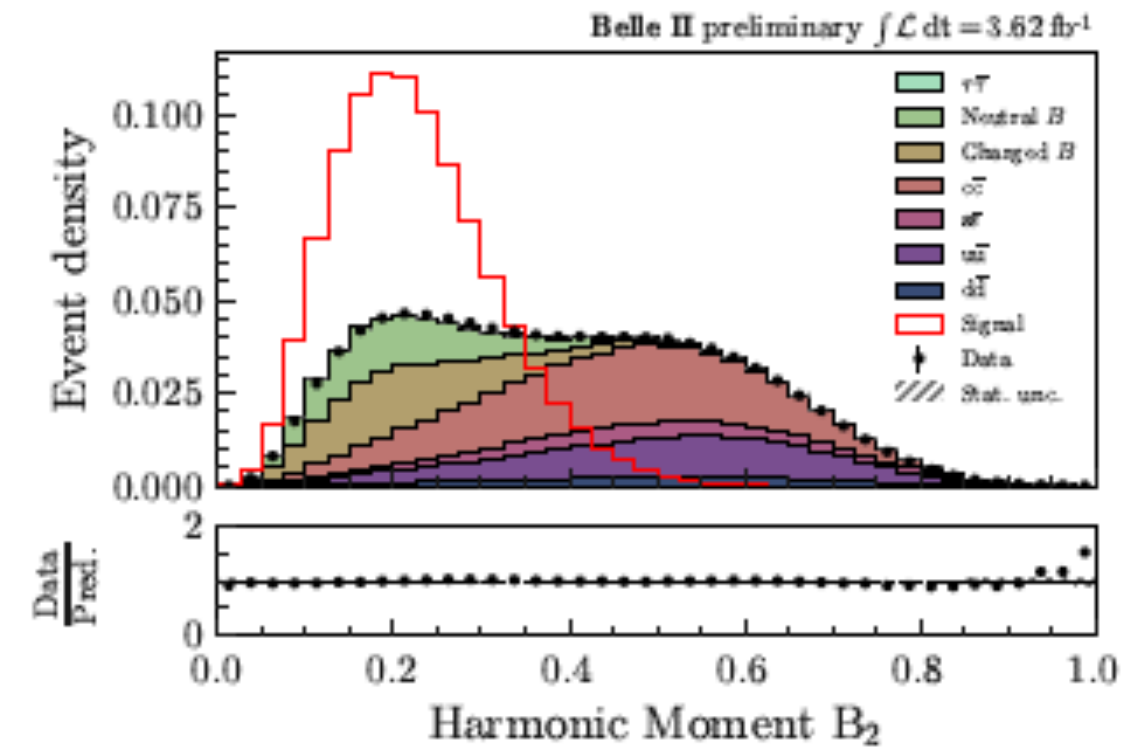
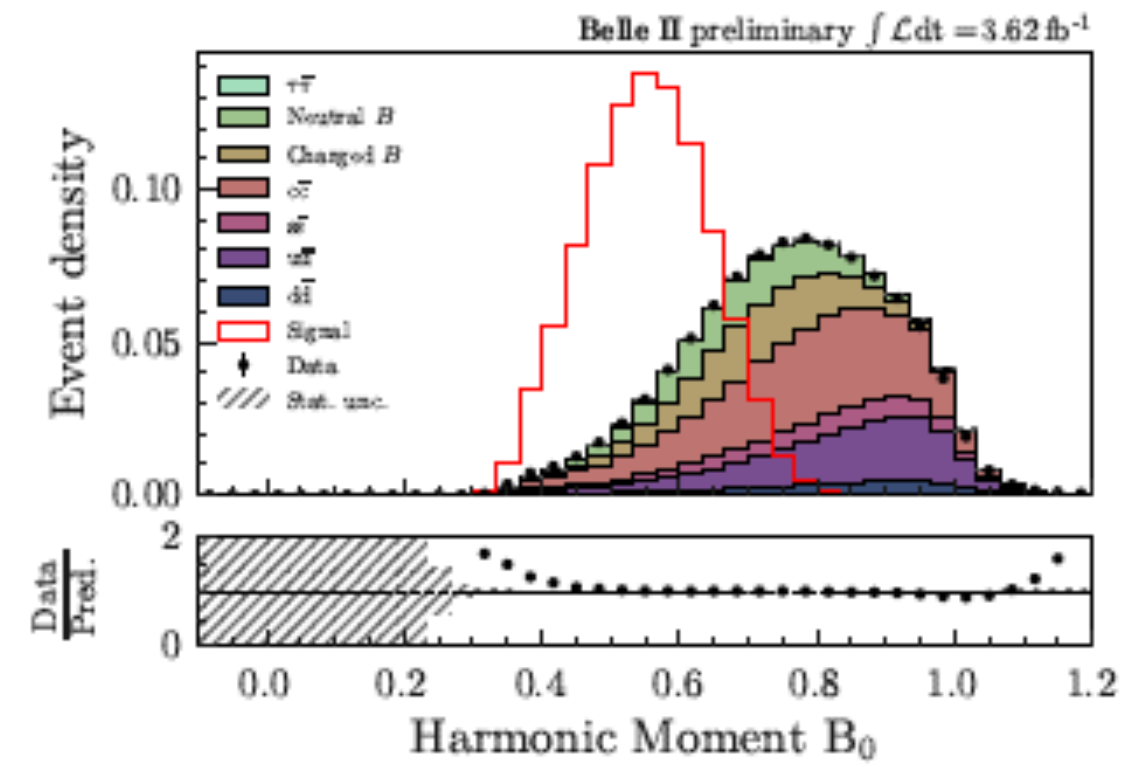
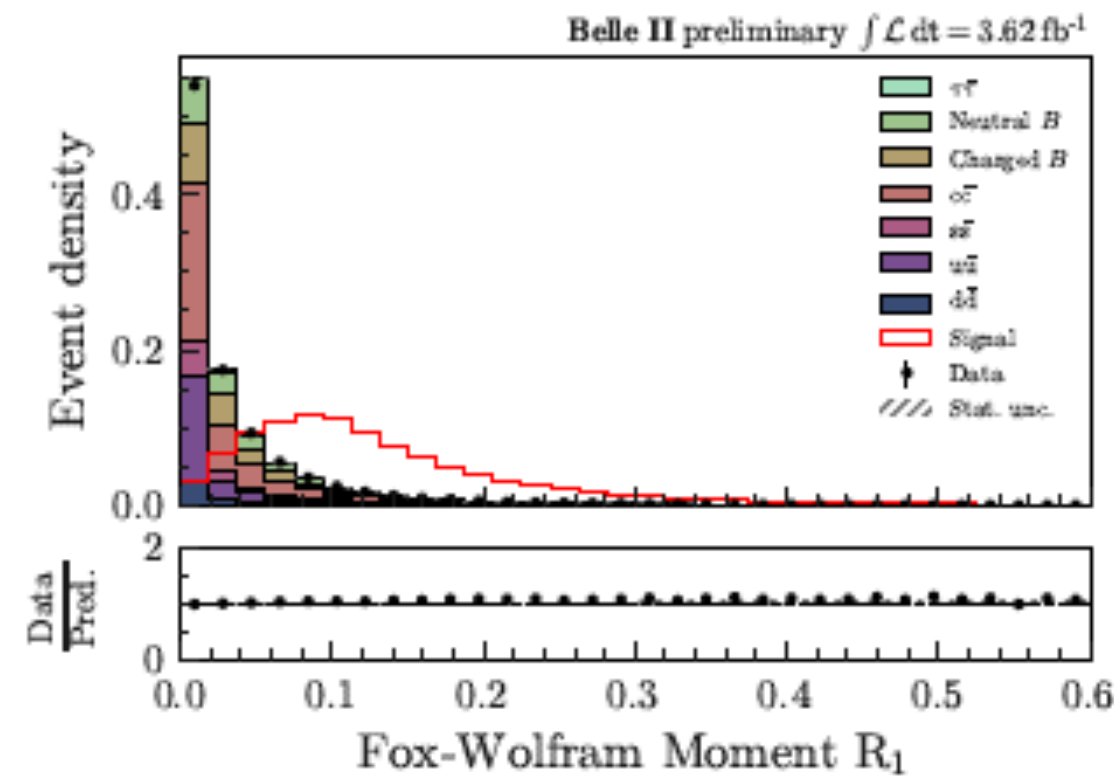
# Input variables BDTs: ITA



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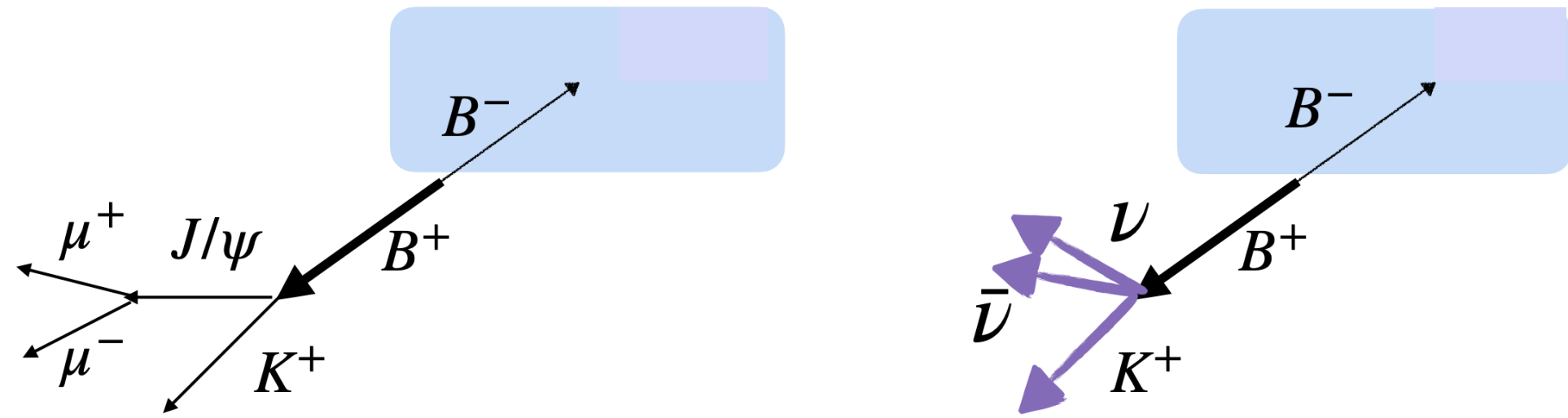
# Input variables BDTs: ITA



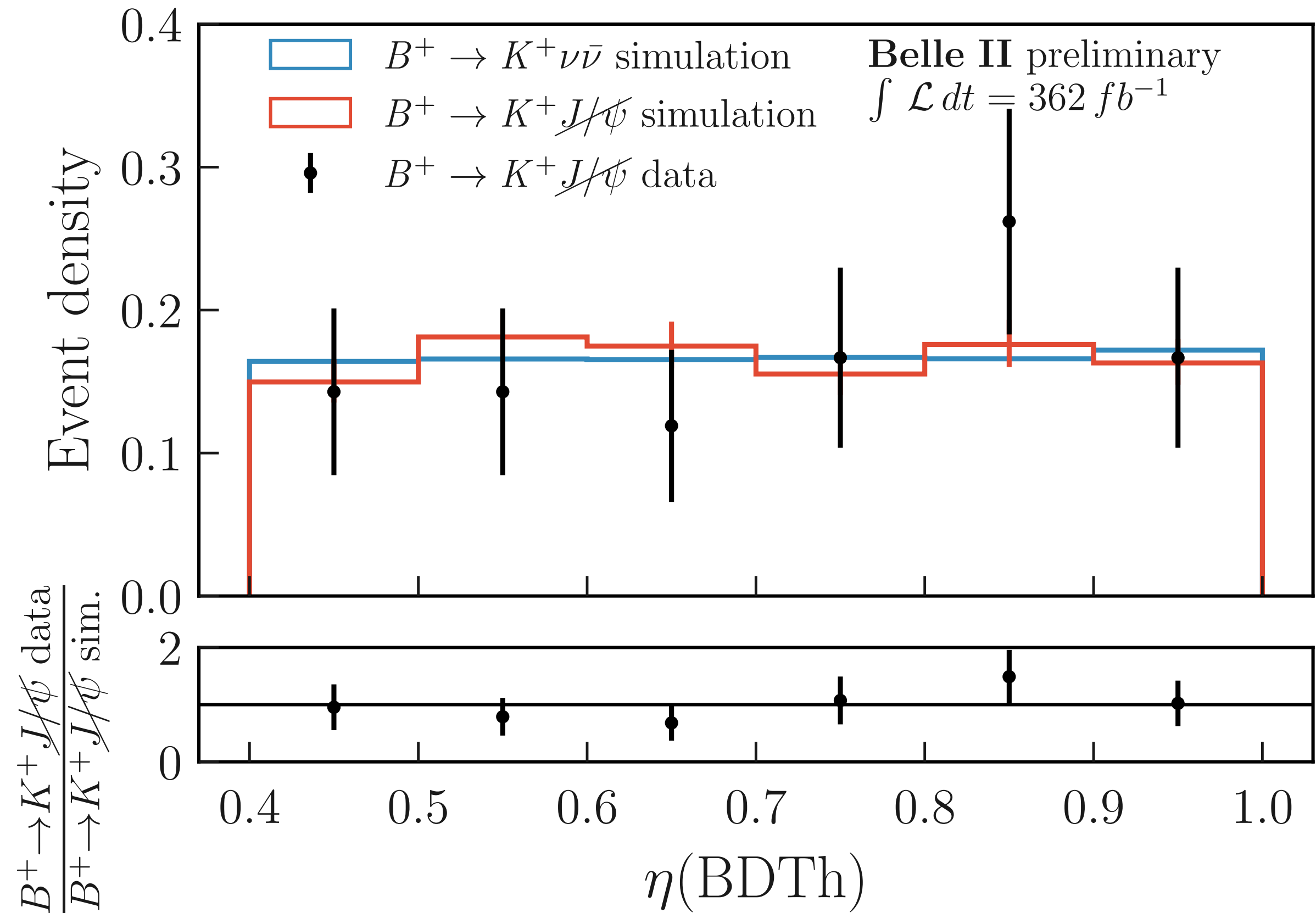
# Input variables BDTh

- Sum of photon energy deposits in ECL in ROEh
- Number of tracks in ROEh
- Sum of the missing energy and absolute missing three-momentum vector
- Azimuthal angle between the signal kaon and the missing momentum vector
- Cosine of the angle between the thrust axis of the signal kaon candidate and the thrust axis of the ROEh
- Kakuno-Super-Fox-Wolfram moments  $H_{22}^{so}$ ,  $H_{02}^{so}$ ,  $H_0^{oo}$
- Invariant mass of the tracks and energy deposits in ECL in the recoil of the signal kaon
- $p$ -value of  $B_{tag}$
- $p$ -value of the vertex fit of the signal kaon and one or two tracks in the event to reject fake kaons coming from  $D^0$  or  $D^+$  decays

# Validation of the signal efficiency in HTA

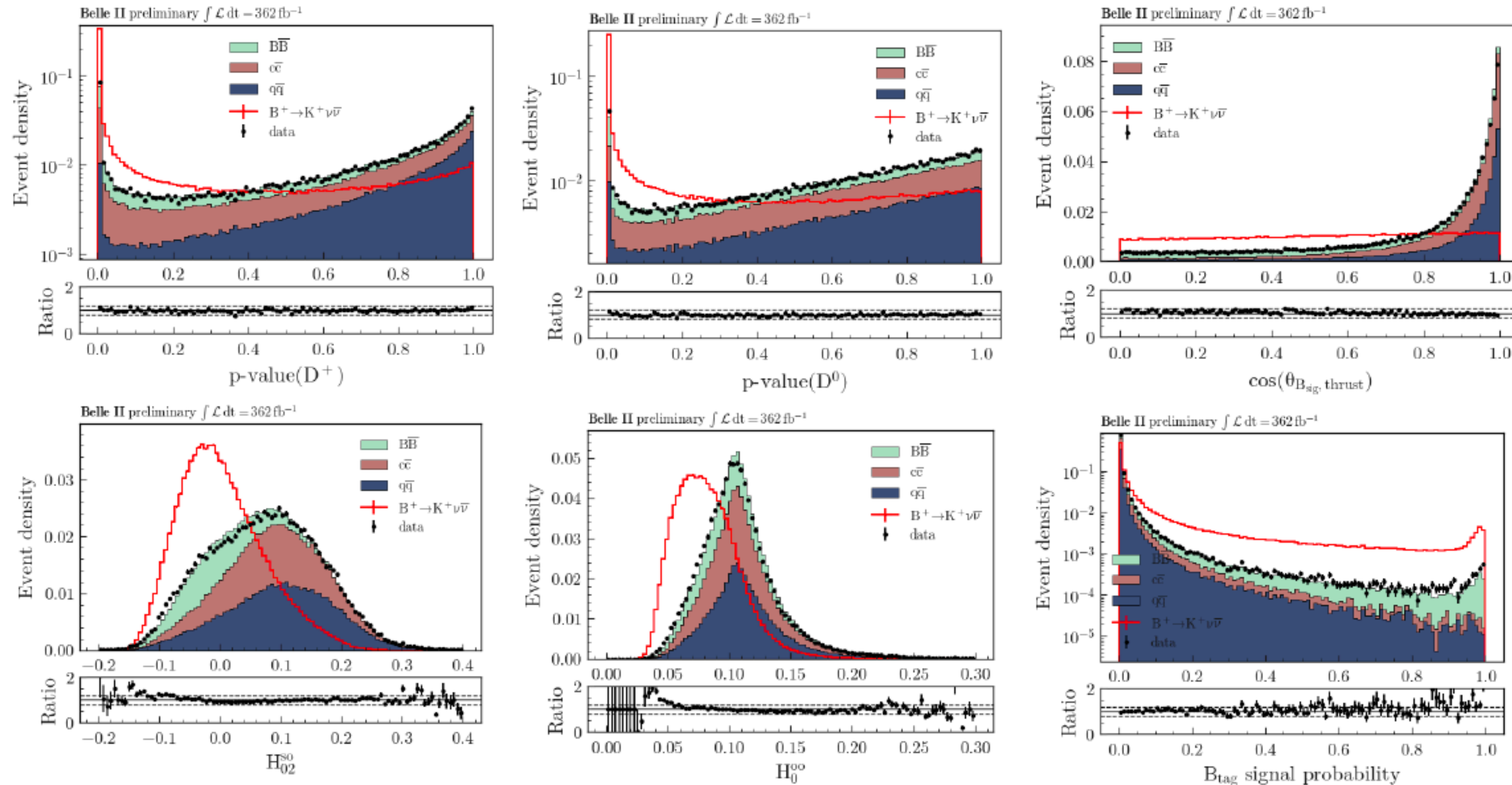


Same method as ITA

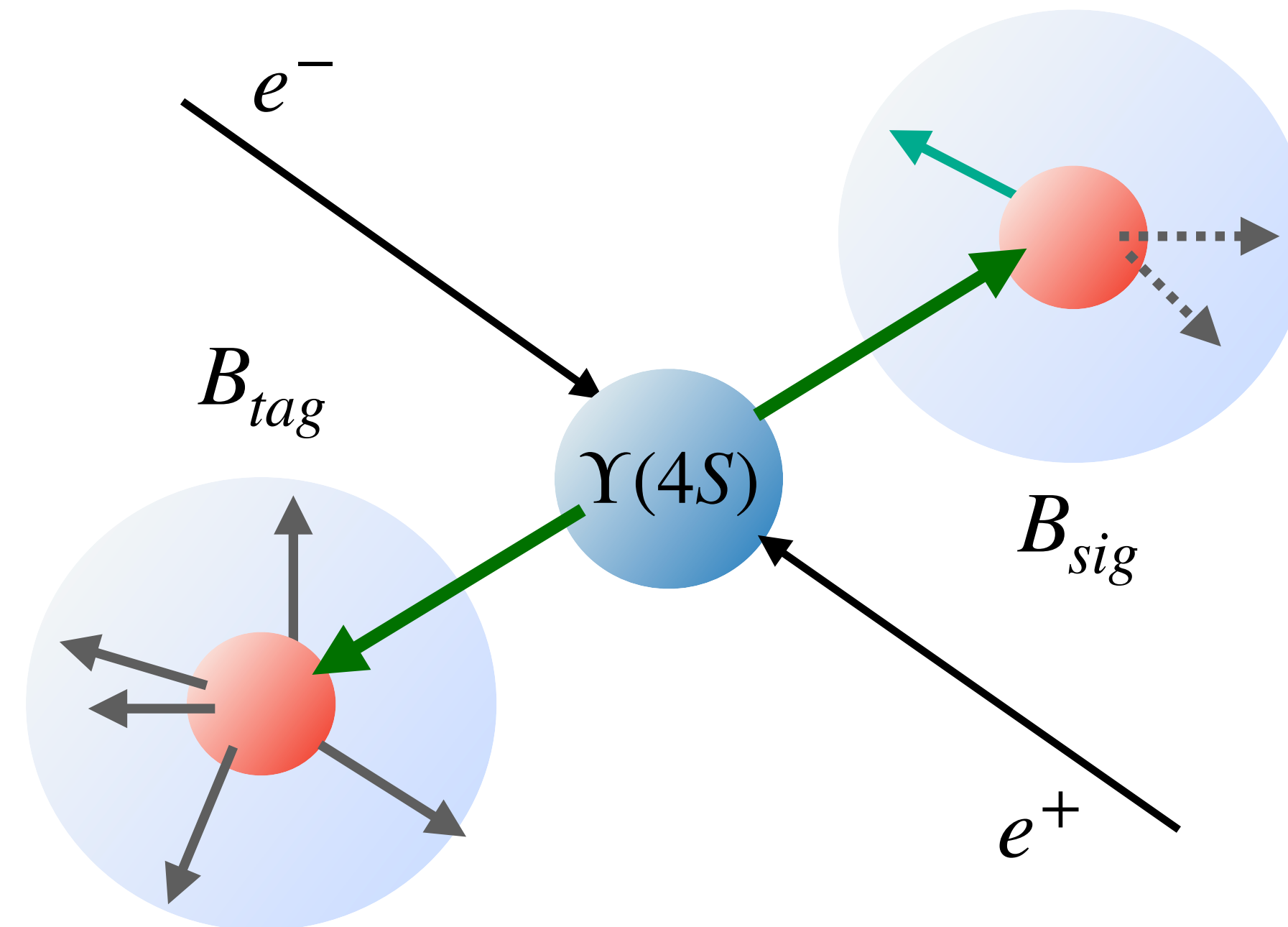


# Input variables BDTh: HTA

preselection level: no BDTh cut, no best candidate selection



# $B^+ \rightarrow K^+ \nu \bar{\nu}$ Event in Belle II



# Beam-backgrounds

Single-beam backgrounds:

- ▶ **Touschek scattering** → scattering of particles within a bunch →

$$\text{Touschek rate} \propto N_{\text{particles}} \times \rho \rightarrow I \times \frac{I}{\sigma_y n_b}$$

- ▶ **beam-gas scattering** → Coulomb scattering and Bremsstrahlung (scattering off gas molecules) → **Beam-gas rate**  $\propto N_{\text{gas molecules}} \times$

$$N_{\text{particles}} \rightarrow P \times I \times Z_{\text{eff}}^2$$

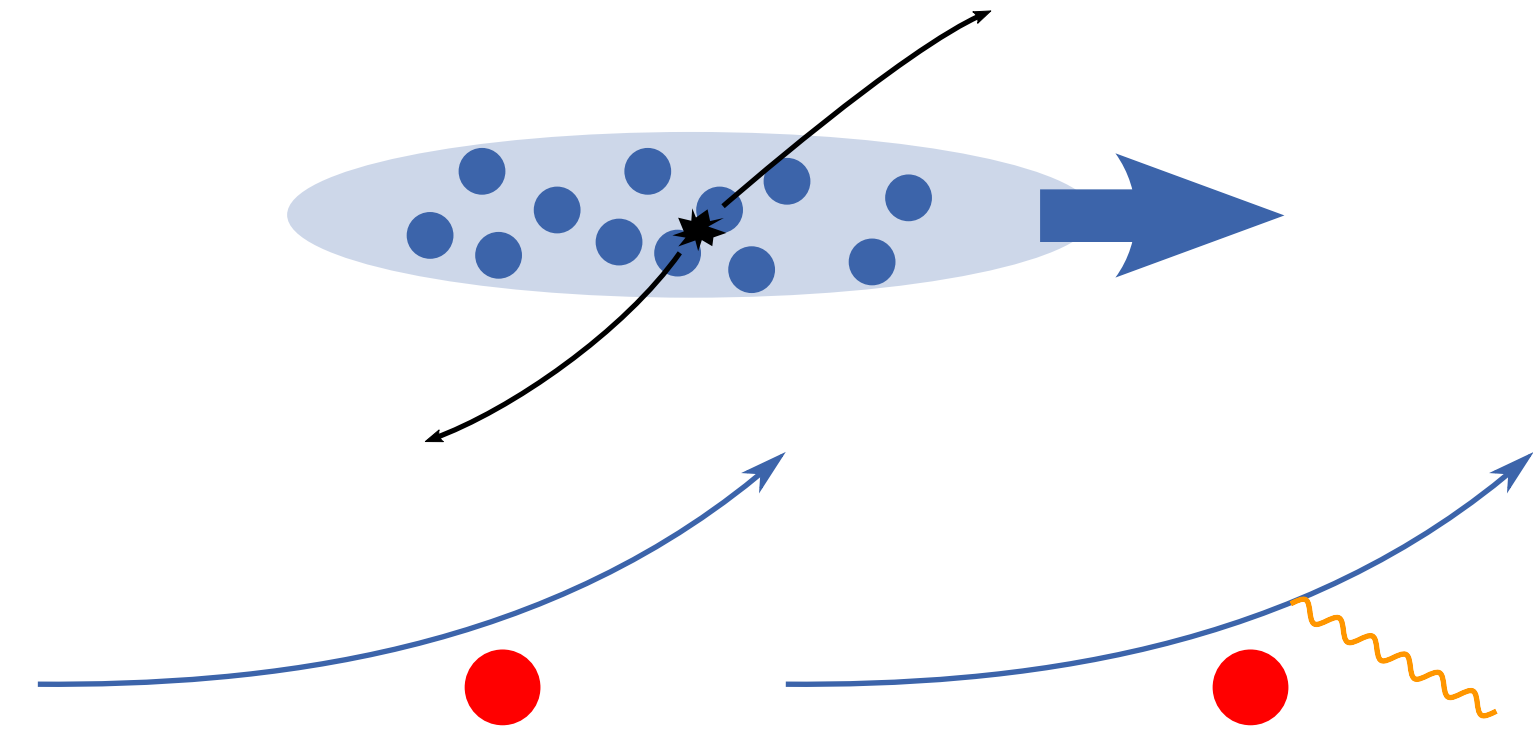
- ▶ **synchrotron radiation background** → consequence of a radial acceleration of the beam's particles achieved in bending magnets and quadrupoles

- ▶ **injection background** → continuous injection of charge into beam bunch modifying the beam bunch

Single-beam backgrounds can be mitigated with beam-steering, collimators, and vacuum-scrubbing

Luminosity backgrounds:

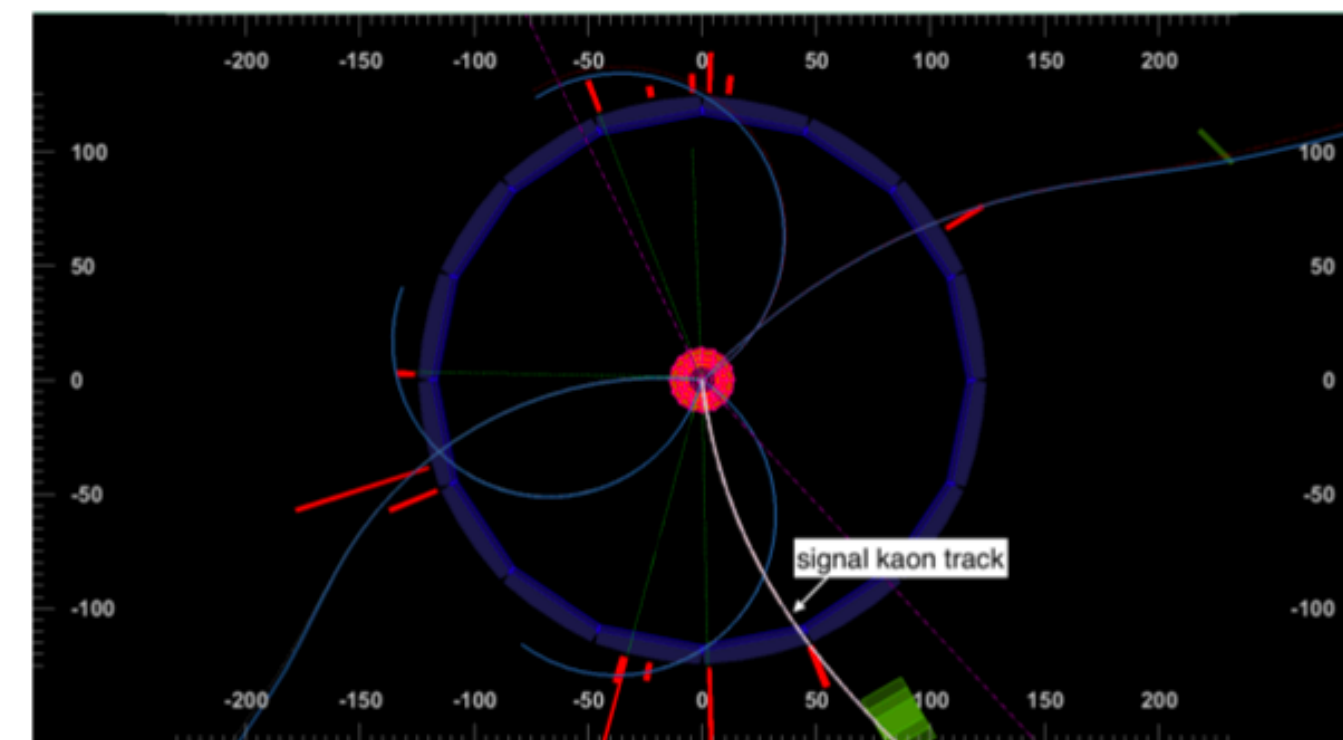
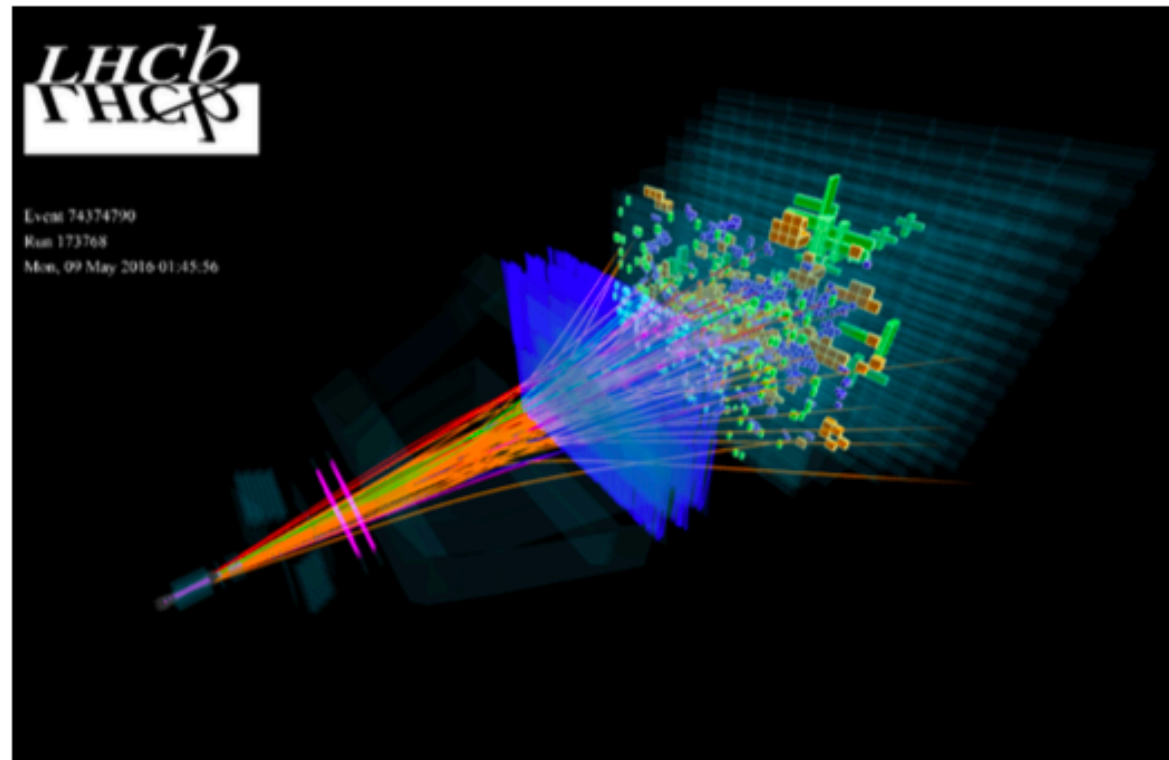
- ▶ **two-photon background** → leading luminosity background ( $e^+e^- \rightarrow e^+e^- \gamma\gamma \rightarrow e^+e^-e^+e^-$ ), unlike any of the backgrounds above cannot be reduced!





# Belle II vs LHCb

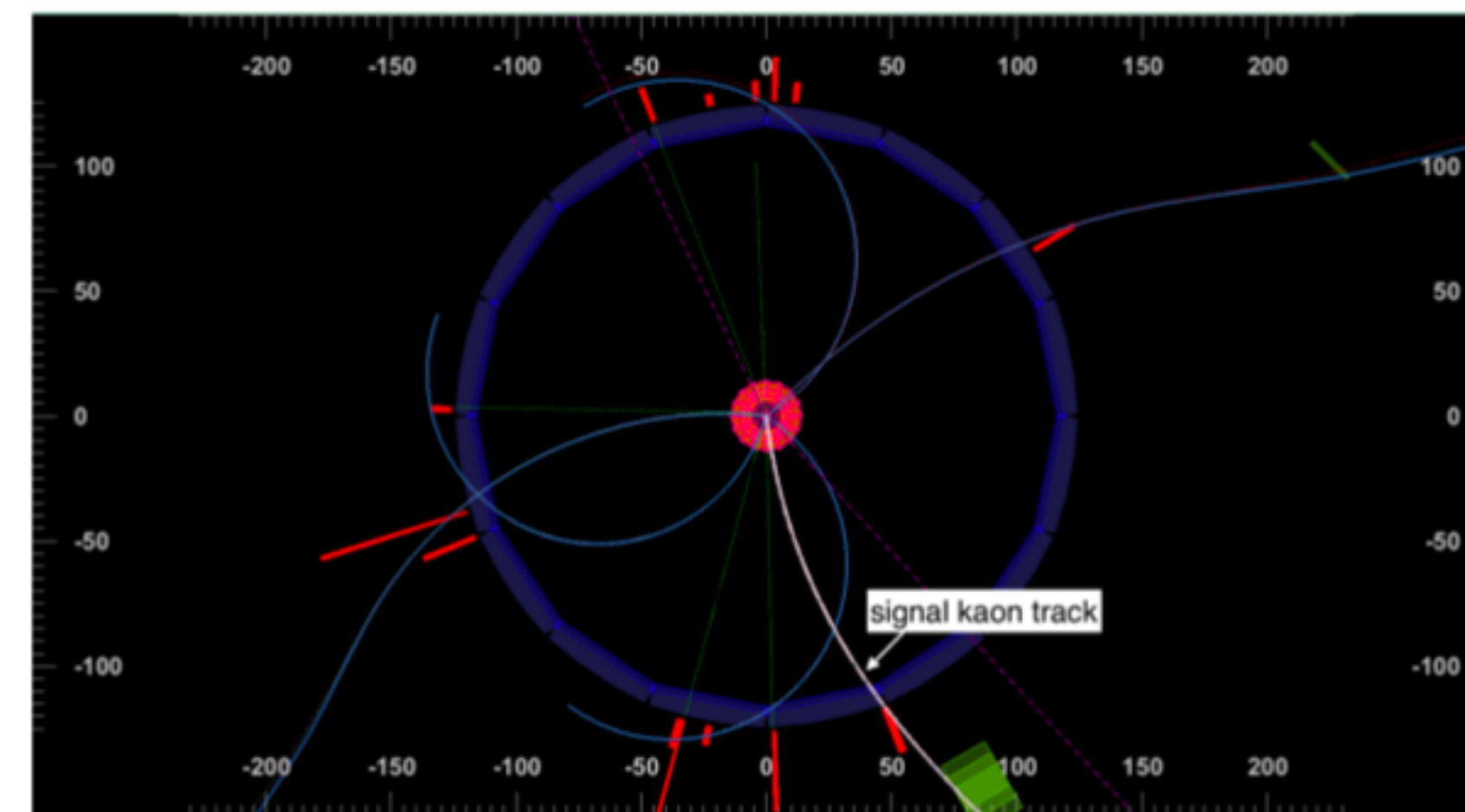
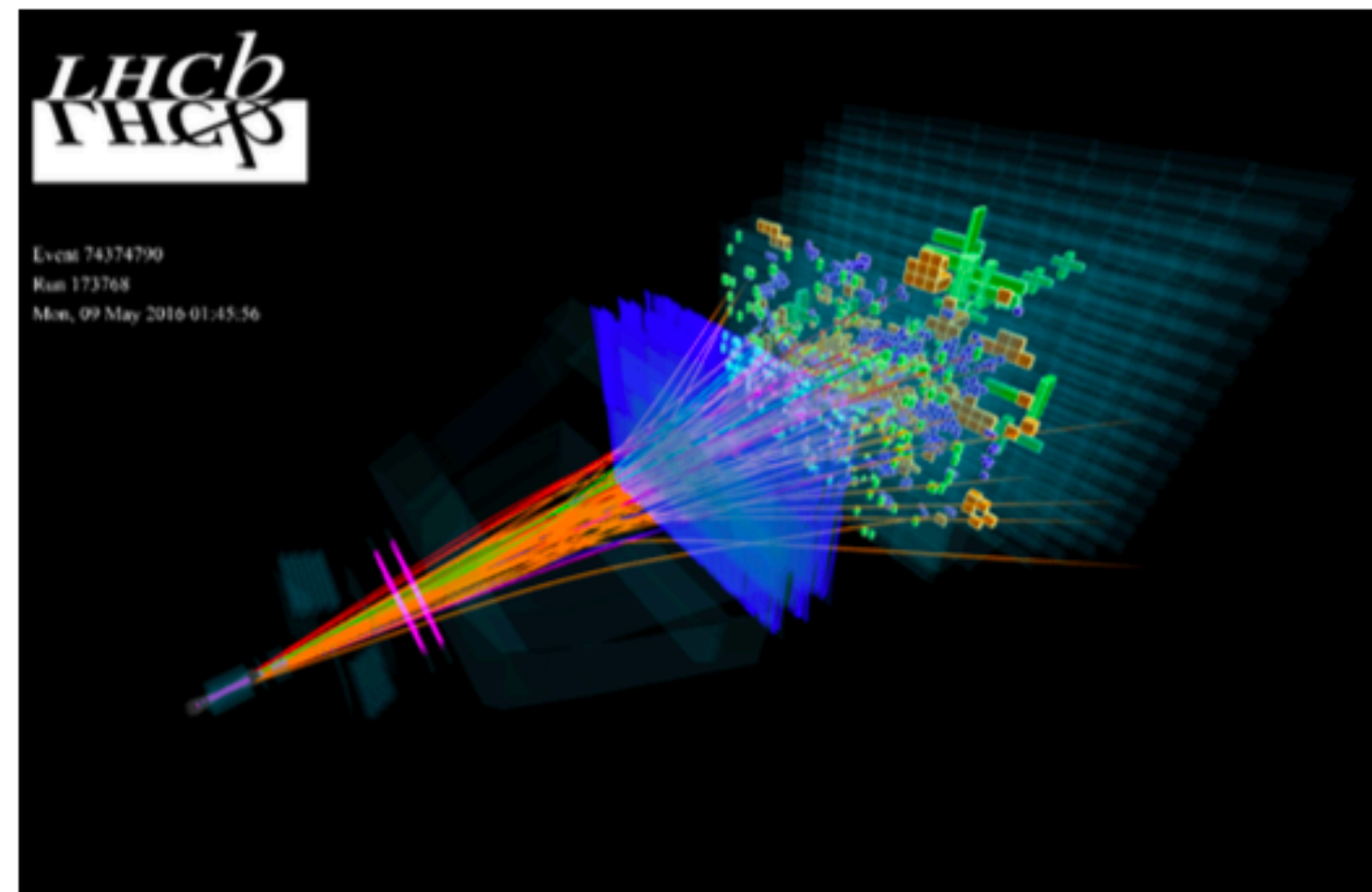
LHCb	Belle II
single-arm detector longitudinal momentum of $B$ not known	hermetic detector known initial state kinematics pro @ neutral object reconstruction (photon, $K_L$ )



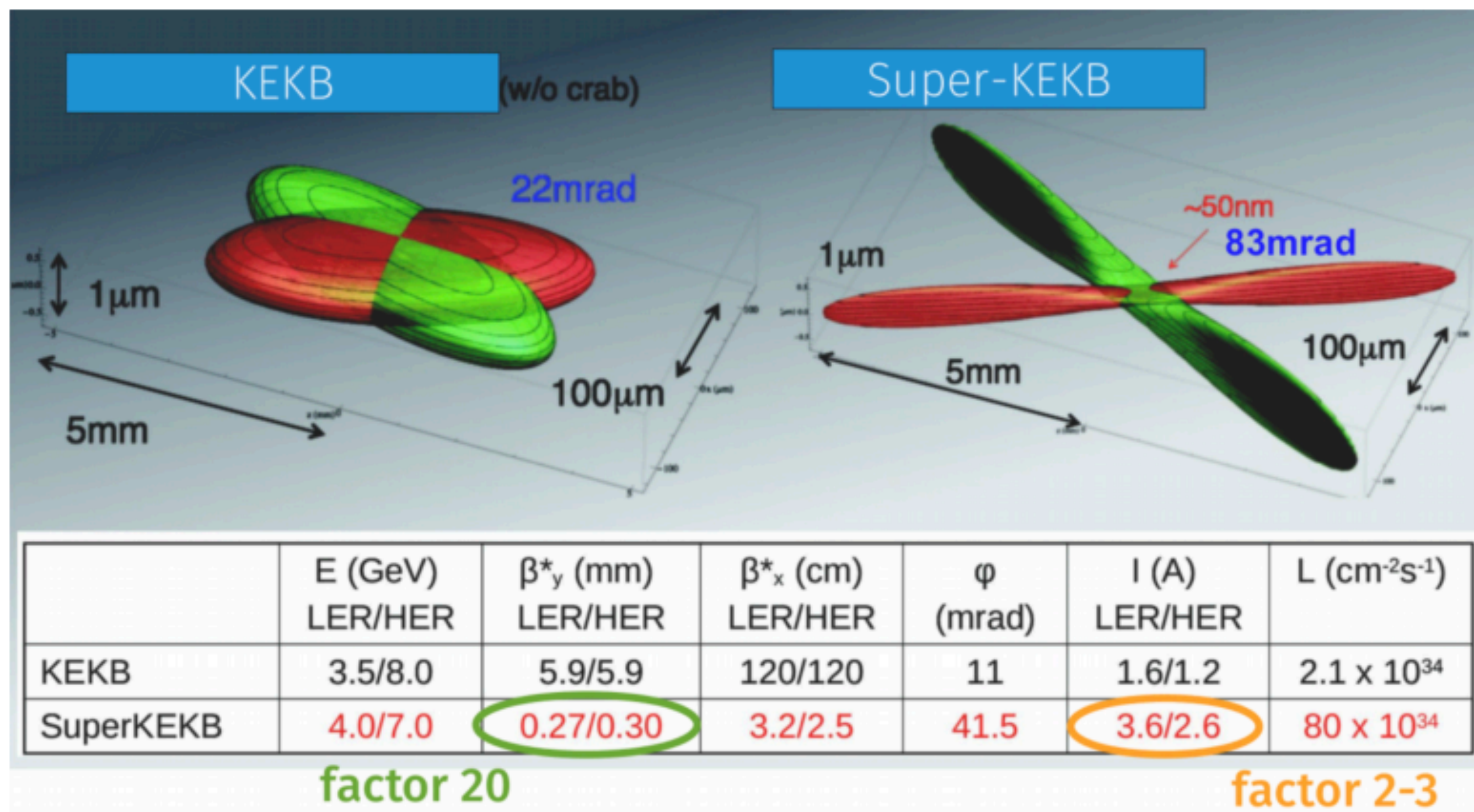
LHC	SuperKEKB
$pp$ -collisions $b$ -quarks produced by gluon fusion all $b$ -hadrons species ( $B_d$ , $B_s$ , $B_c$ , $b$ -baryon) highly boosted topology $\sigma_{bb} = 100 \mu\text{b}$ different backgrounds (N/S = 1000)	$e^+e^-$ energy asymmetric collisions $B\bar{B}$ produced from $Y(4S)$ exclusive $B\bar{B}$ production asymmetric beam energy $\rightarrow$ boost $\sigma_{bb} = 1.1 \text{ nb}$
$1 \text{ fb}^{-1}$	$1 \text{ ab}^{-1}$ B-backgrounds, continuum backgrounds + QED (N/S=4)

# Belle II vs LHCb

LHCb	Belle II
single-arm detector longitudinal momentum of $B$ not known	hermetic detector known initial state kinematics pro @ neutral object reconstruction (photon, $K_L$ )



# SuperKEKB vs KEKB



	KEKB		SuperKEKB (Juni 2022)		SuperKEKB Ziel	
	LER	HER	LER	HER	LER	HER
Energie [GeV]	3.5	8	4	7	4	7
#Bunches	1584		2249		1800	
$\beta^*_x/\beta^*_y$ [mm]	1200/5.9	1200/5.9	80/1.0	60/1.0	32/0.27	25/0.3
I [A]	1.64	1.19	1.46	1.15	2.8	2.0
Luminosität [ $10^{34} \text{ cm}^{-2}\text{s}^{-1}$ ]	2.1		4.65 (Rekord!)		60	
Int. Luminosität [ $\text{ab}^{-1}$ ]	1		0.43		50	

# Long Shutdown 1

Belle II stopped taking data in Summer 2022 for a long shutdown

- replacement of beam-pipe
- replacement of photomultipliers of the central PID detector (TOP)
- installation of 2-layered pixel vertex detector
- improved data-quality monitoring and alarm system
- completed transition to new DAQ boards (PCIe40)
- accelerator improvements: injection, non-linear collimators, monitoring
- replacement of aging components
- additional shielding and increased resilience against beam bckg

Currently working on pixel detector installation:

==> shipping to KEK in ~mid March

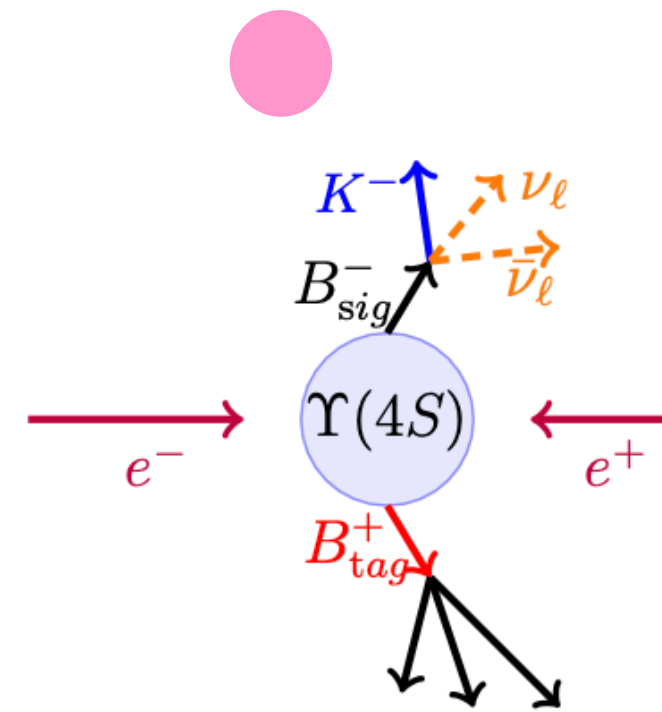
==> final tests at KEK scheduled in April

On track to resume data taking next winter with new pixel detector

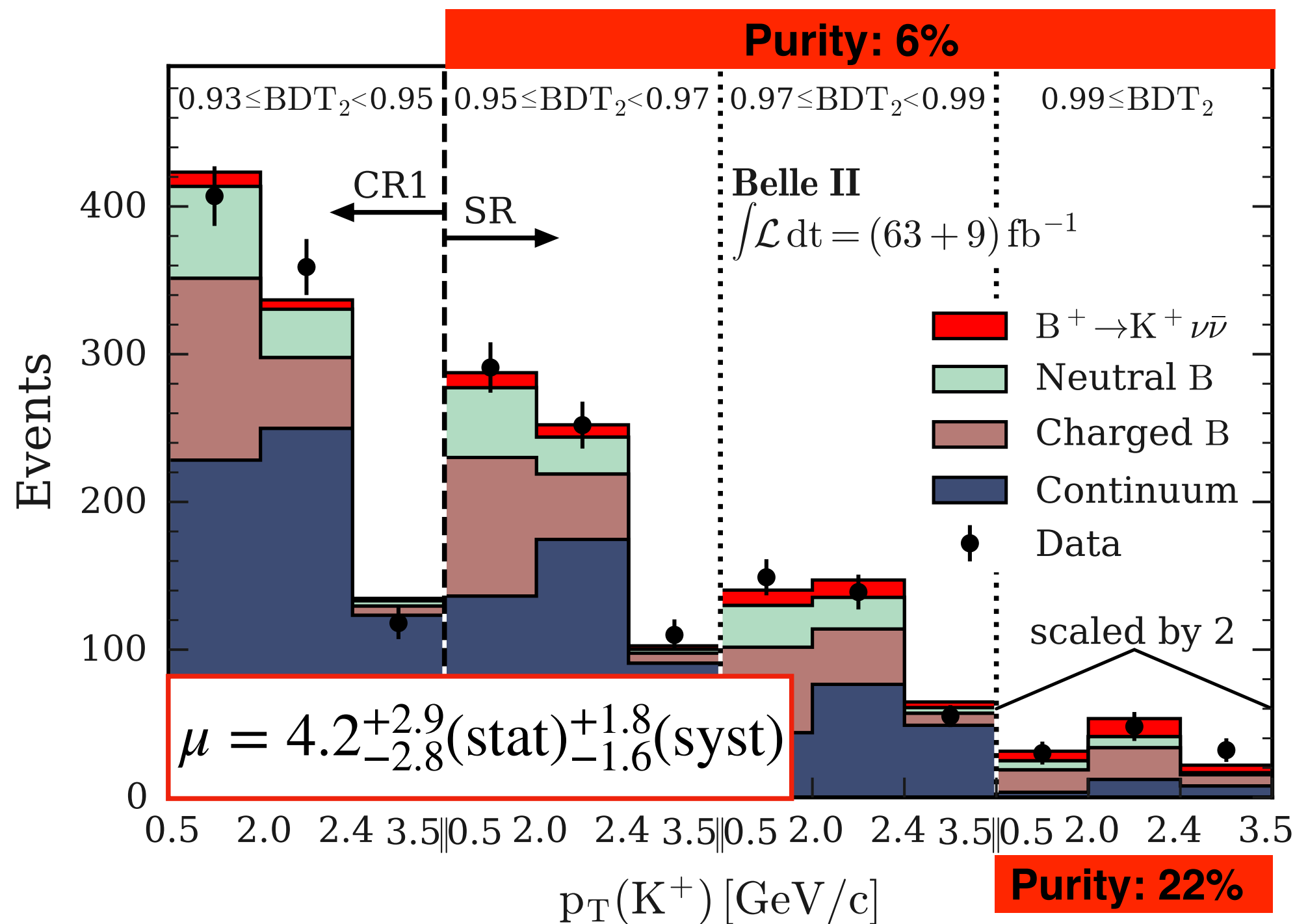
# Fit Results (old)

Step 4: Perform ML fit to binned  $p_T(K^+) \times \mathbf{BDT}_2$  distribution to extract signal strength  $\mu$  :

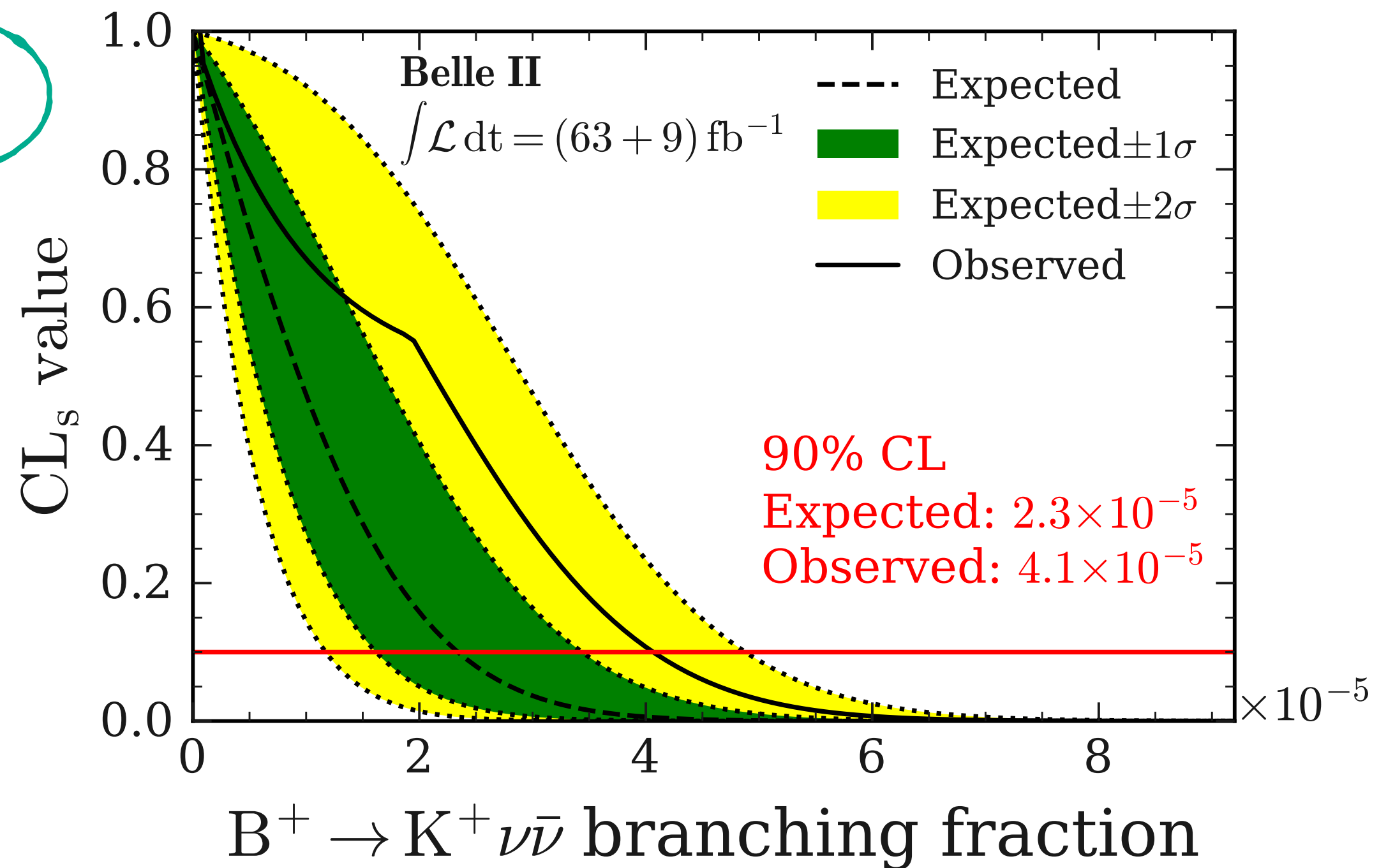
- $\mu = 4.2^{+2.9}_{-2.8}(\text{stat})^{+1.8}_{-1.6}(\text{syst}) = 4.2^{+3.4}_{-3.2} \rightarrow$  no significant signal is observed
- **Limit of  $4.1 \times 10^{-5}$  @ 90 % C.L.**  $\rightarrow$  competitive with *only* 63 fb<sup>-1</sup>
- Leading systematic: background normalisation



**$1\mu = \text{SM } \mathcal{B}(B^+ \rightarrow K^+ \nu \bar{\nu})$**



Step 4



# Search for $B \rightarrow K^{(*)}\tau\tau$ decays

## Motivation:

- FCNC transition involving 3<sup>rd</sup> generation leptons
- SM  $\mathcal{B}(B \rightarrow K^{(*)}\tau\tau) \sim 10^{-7}$

## BSM:

- Rate enhanced by NP models (especially those coupling only to 3<sup>rd</sup> generation / with coupling  $\propto$  particle mass)

## Current Bounds:

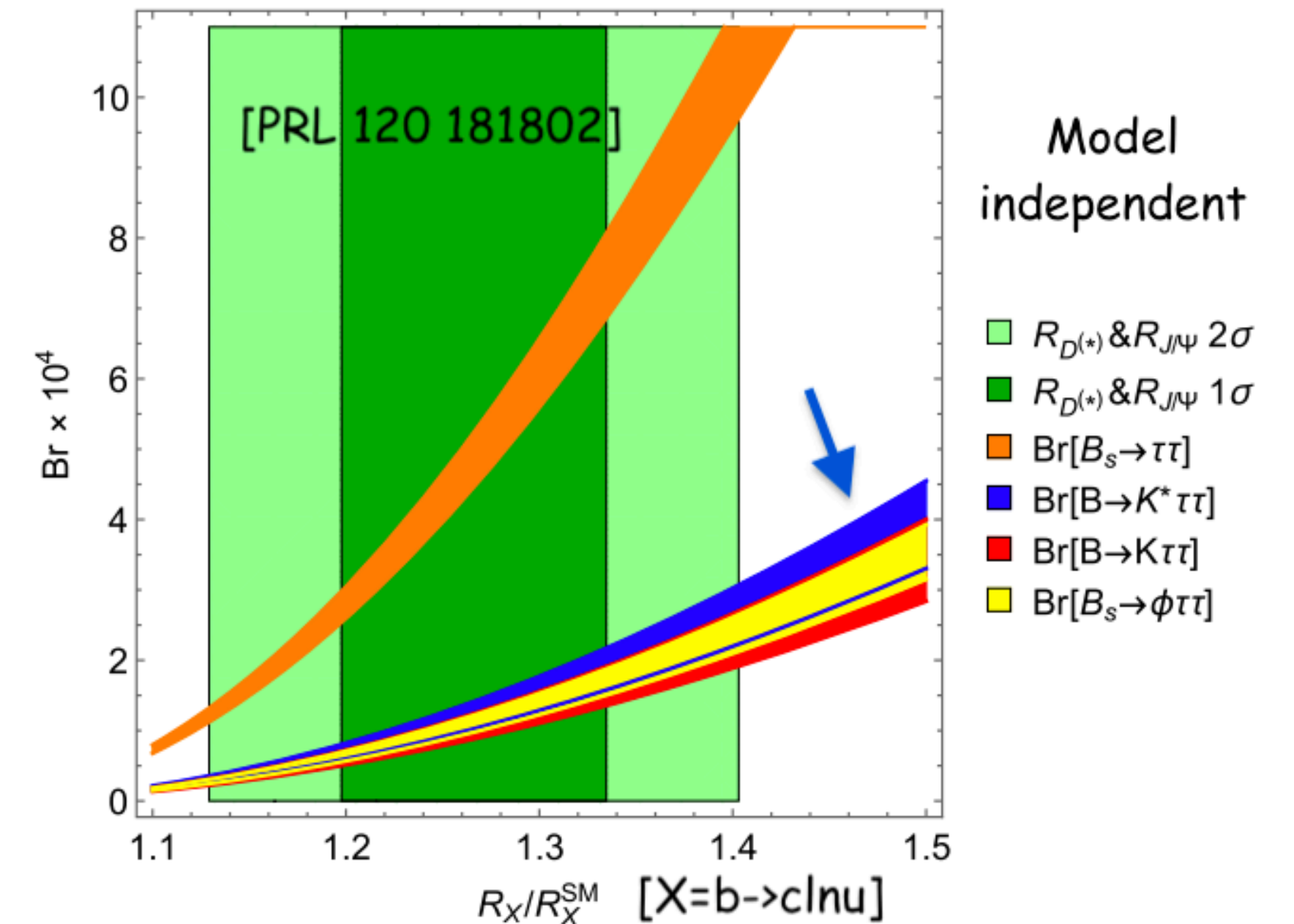
- Belle  $\mathcal{B}(B^0 \rightarrow K^{*0}\tau^+\tau^-) < 2.0 \times 10^{-3}$  @ 90% C.L.  
[\[arxiv:2110.03871\]](https://arxiv.org/abs/2110.03871)
- Babar  $\mathcal{B}(B^+ \rightarrow K^+\tau^+\tau^-) < 2.3 \times 10^{-3}$  @ 90% C.L.  
[\[PRL 118, 031802 \(2017\)\]](https://arxiv.org/abs/1703.03180)

## Belle II can:

- exploit different tagging approaches
- include more  $\tau$  decay modes (improved scenario)
- measure other channels  $K^{*+}$

### Belle II snowmass paper

ab <sup>-1</sup>	$\mathcal{B}(B^0 \rightarrow K^{*0}\tau\tau)$ (had tag)	
	"Baseline" scenario	"Improved" scenario
1	$< 3.2 \times 10^{-3}$	$< 1.2 \times 10^{-3}$
5	$< 2.0 \times 10^{-3}$	$< 6.8 \times 10^{-4}$
10	$< 1.8 \times 10^{-3}$	$< 6.5 \times 10^{-4}$
50	$< 1.6 \times 10^{-3}$	$< 5.3 \times 10^{-4}$



# Search for $B \rightarrow K^{(*)}\tau l$ decays

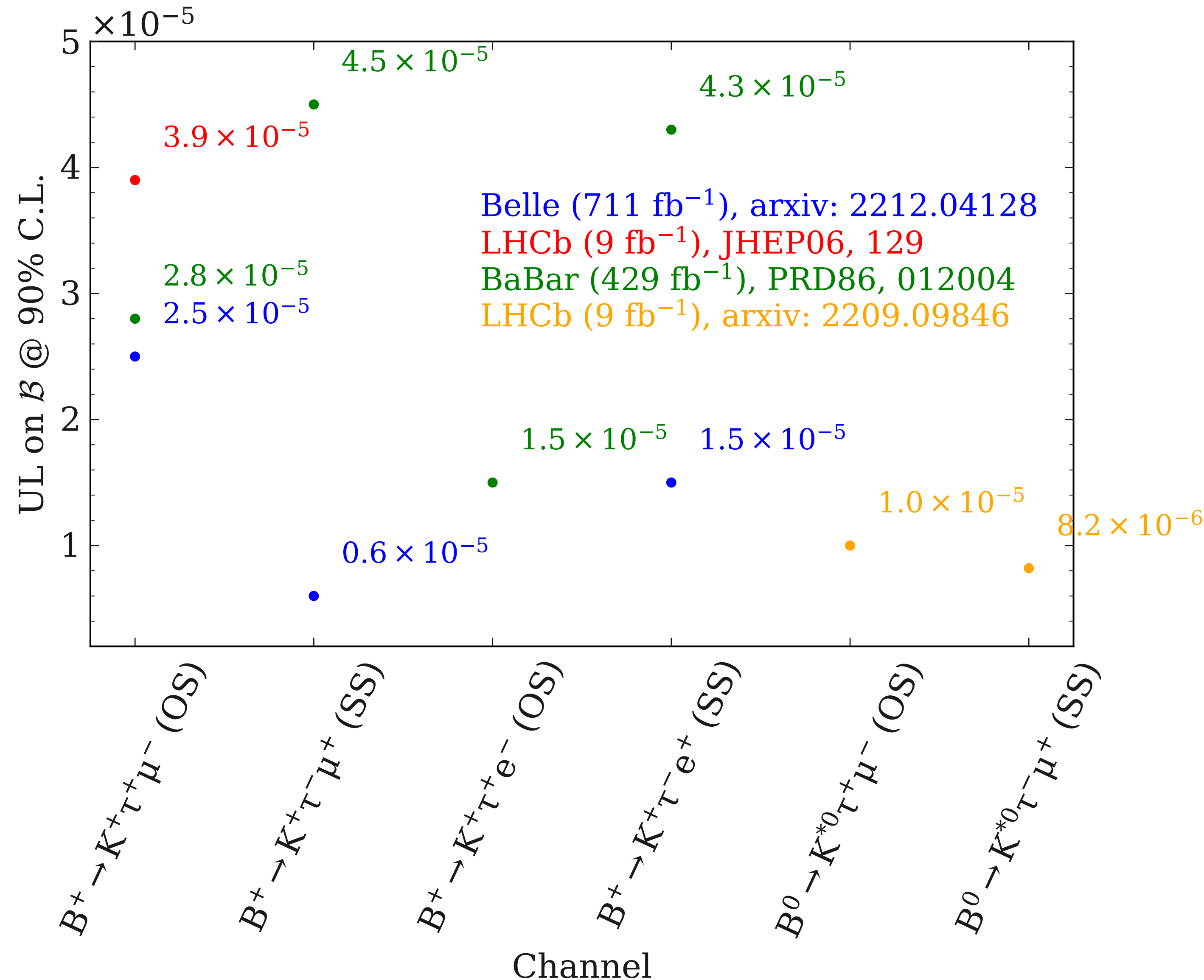
## Motivation:

- LFV decay  $\rightarrow$  strongly suppressed in SM
- $R(D^{(*)})$  hints at  $\tau$  vs  $\mu/e$  non-universality (LFUV)
- BSM: LFV can arise together with LFUV
- Models: Leptoquarks,  $Z'$ ,  $W'$ ...

**Belle only used hadronic reconstruction!**

## Belle II can:

- exploit different tagging approaches
- include more  $\tau$  decay modes
- measure other channels such as  $K_s^0$

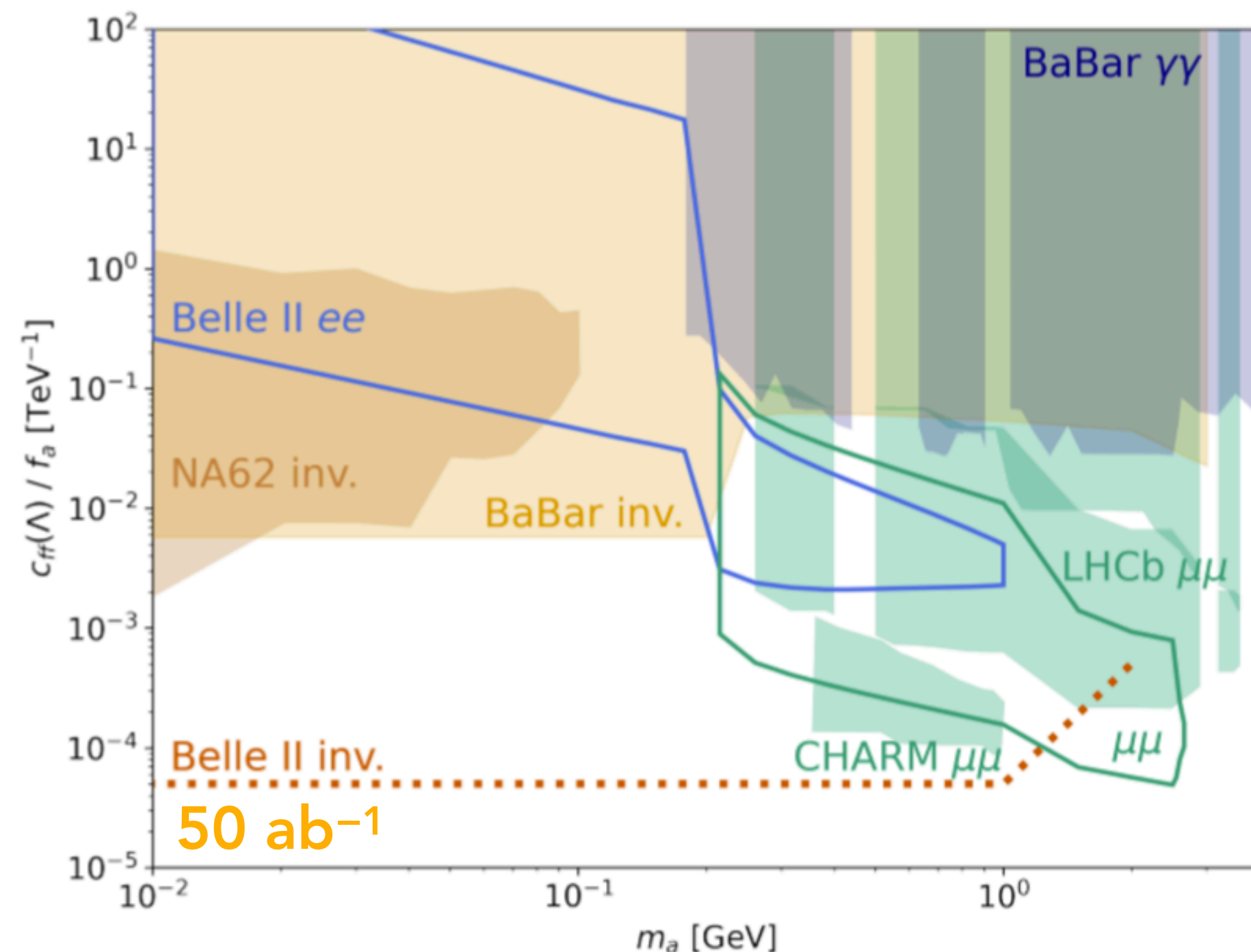


# Search for $B^+ \rightarrow K^+ X$ decays

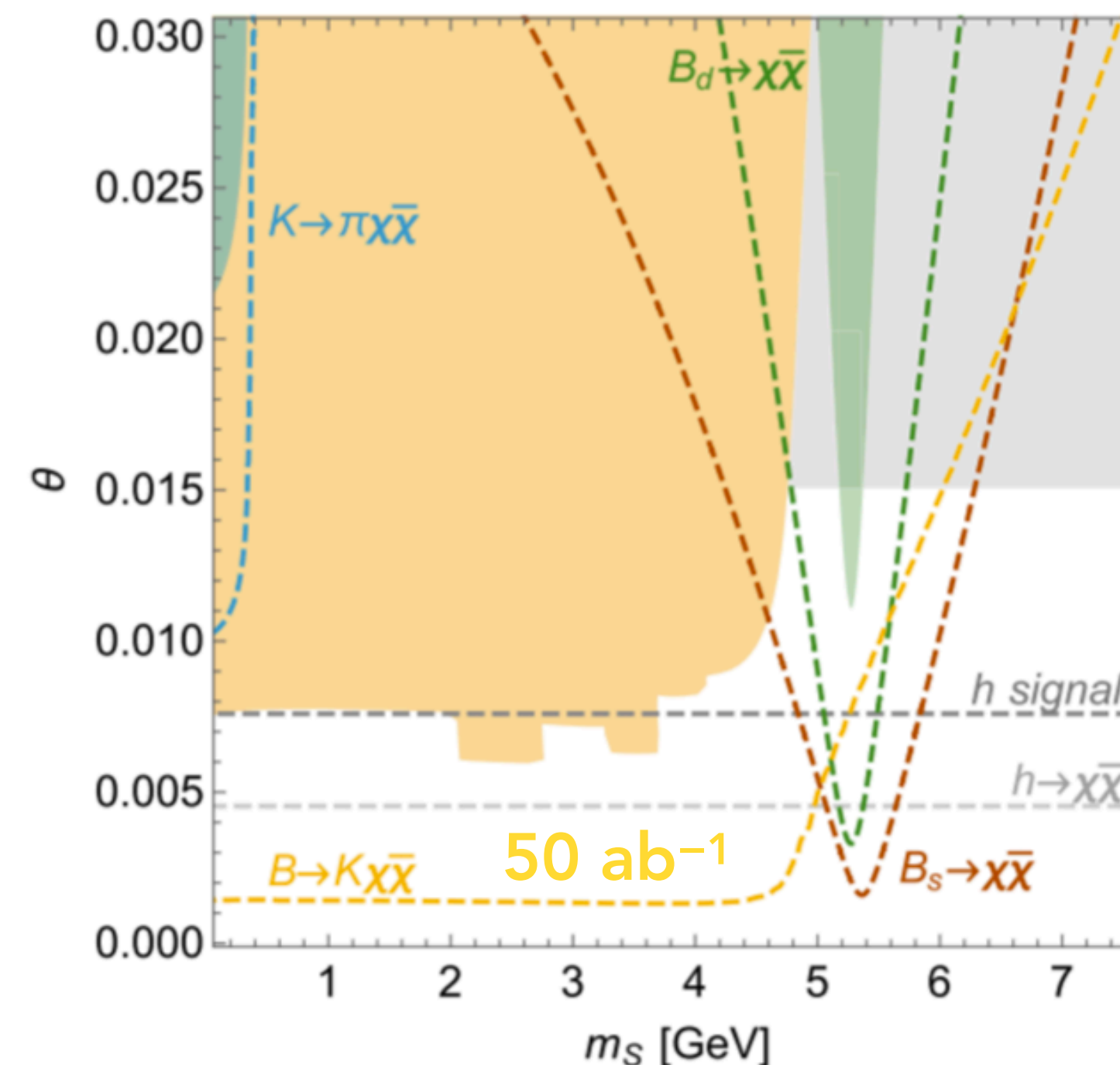
BSM scenarios of  $B^+ \rightarrow K^+ \nu \bar{\nu}$  : **new mediators (X)**:

- **X** ( = **dark scalar (S)** or **ALP (a)** ) decaying invisibly
- **ALP** : probing coupling of **a** to **SM fermions and gauge bosons**
- **Dark Scalar** : probing coupling of **S** to **SM Higgs boson**
- Main experimental difference: two-body vs three-body kinematics

**ALP (a)** [[arxiv: 2201.06580](https://arxiv.org/abs/2201.06580)]



**Dark scalar (S)** [[PRD 101, 095006 \(2020\)](https://arxiv.org/abs/2009.09506)]



- Simplified sensitivity studies:
- With 0.5 ab<sup>-1</sup> → expected **an order of magnitude improvement**
  - With 50 ab<sup>-1</sup> → expected **two orders of magnitude improvement**

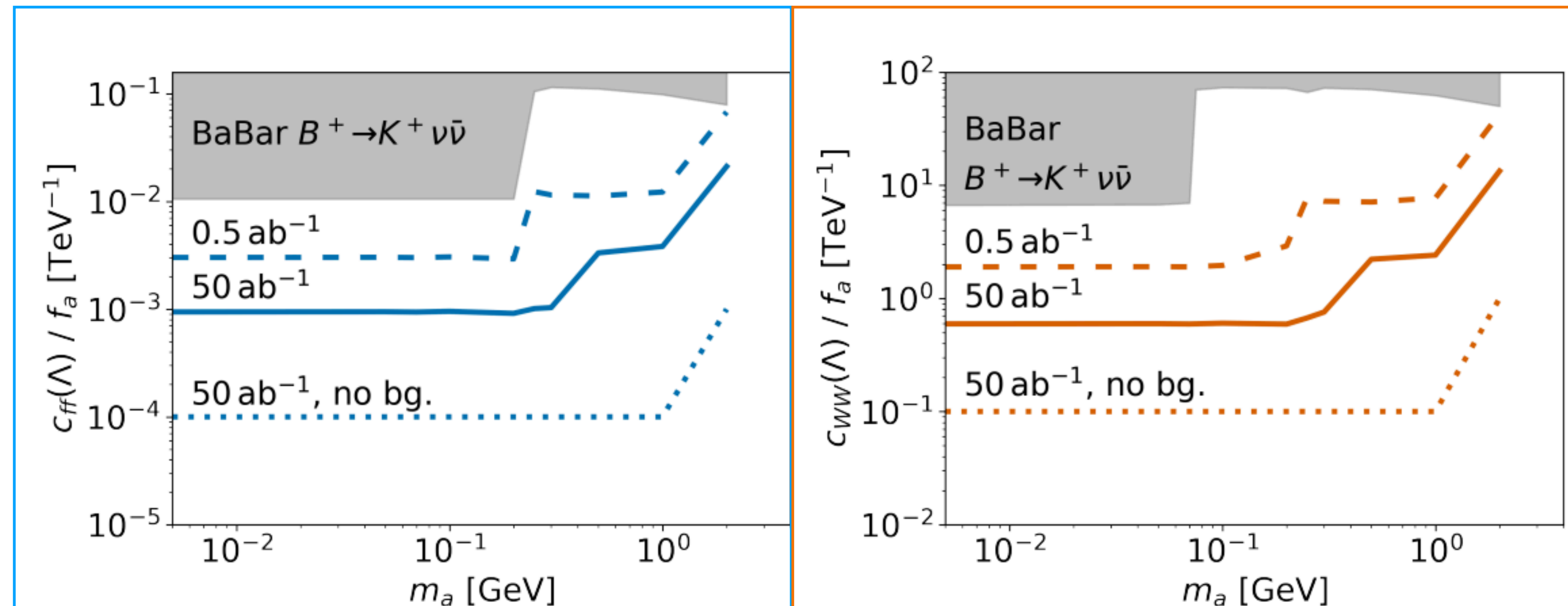
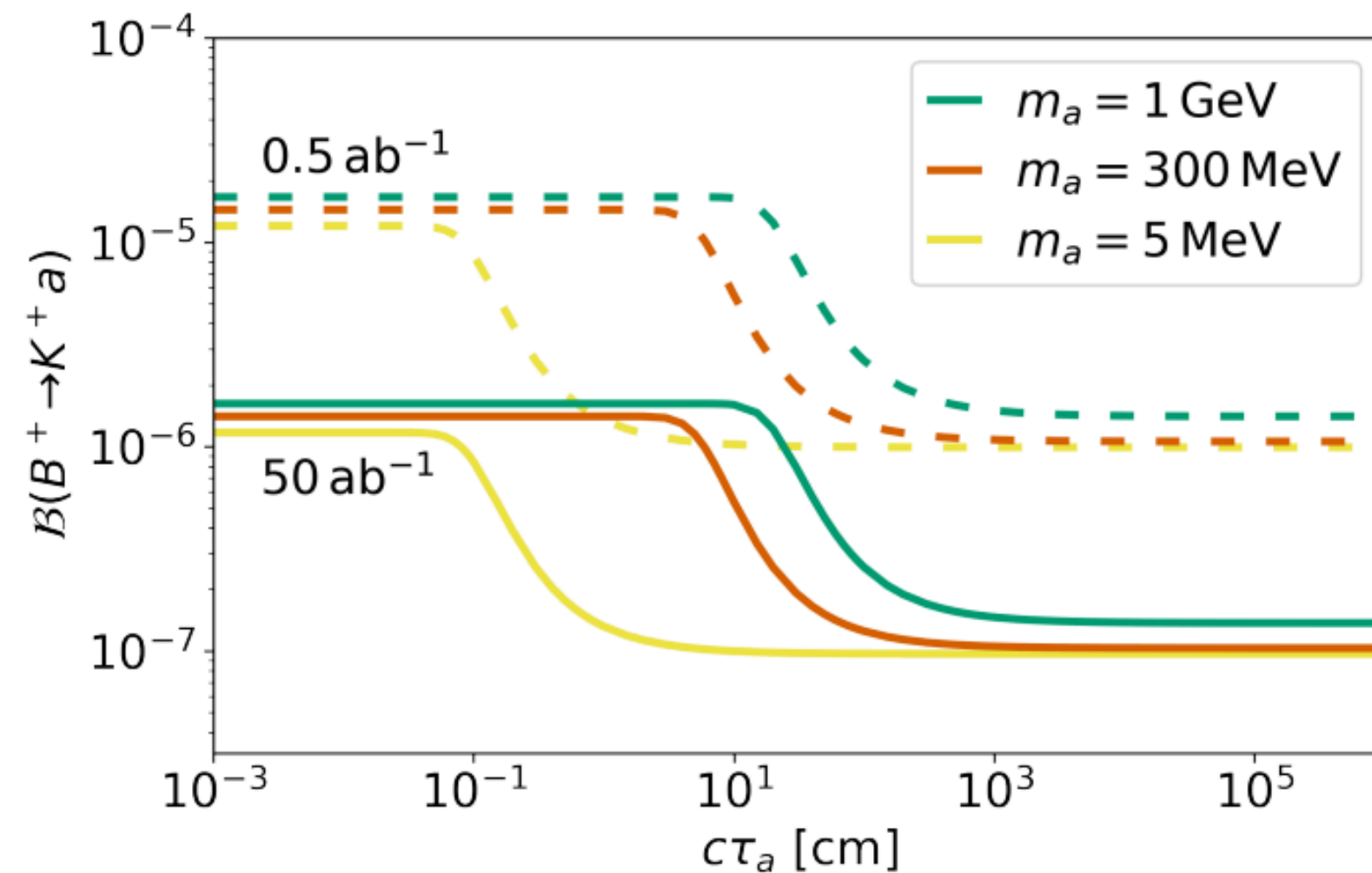


# Search for $B^+ \rightarrow K^+ a$ (ALP) : Sensitivity

Simplified sensitivity study probing different  $m_A$  scenarios for  $m_A$  in [5 MeV, 4 GeV]

- With  $0.5 \text{ ab}^{-1}$  limit on  $\mathcal{B}(B^+ \rightarrow K^+ a) < 10^{-5}$  @ 90 CL → expected an order of magnitude improvement
- With  $50 \text{ ab}^{-1}$  limit on  $\mathcal{B}(B^+ \rightarrow K^+ a) < 10^{-7}$  @ 90 CL → expected two orders of magnitude improvement

[arxiv: 2201.06580]



## Belle II near-term plans

- Compare sensitivity of inclusive tagged vs hadronic tagged reconstruction approach for  $B^+ \rightarrow K^+ a$
- Adapt inclusive tag to favour two-body kinematics
- Perform search for  $B^+ \rightarrow K^+ a / B \rightarrow K^* a$  with pre-shutdown dataset ( $0.5 \text{ ab}^{-1}$ )