

New Strong Dynamics at the TeV scale and its impact on dibosons

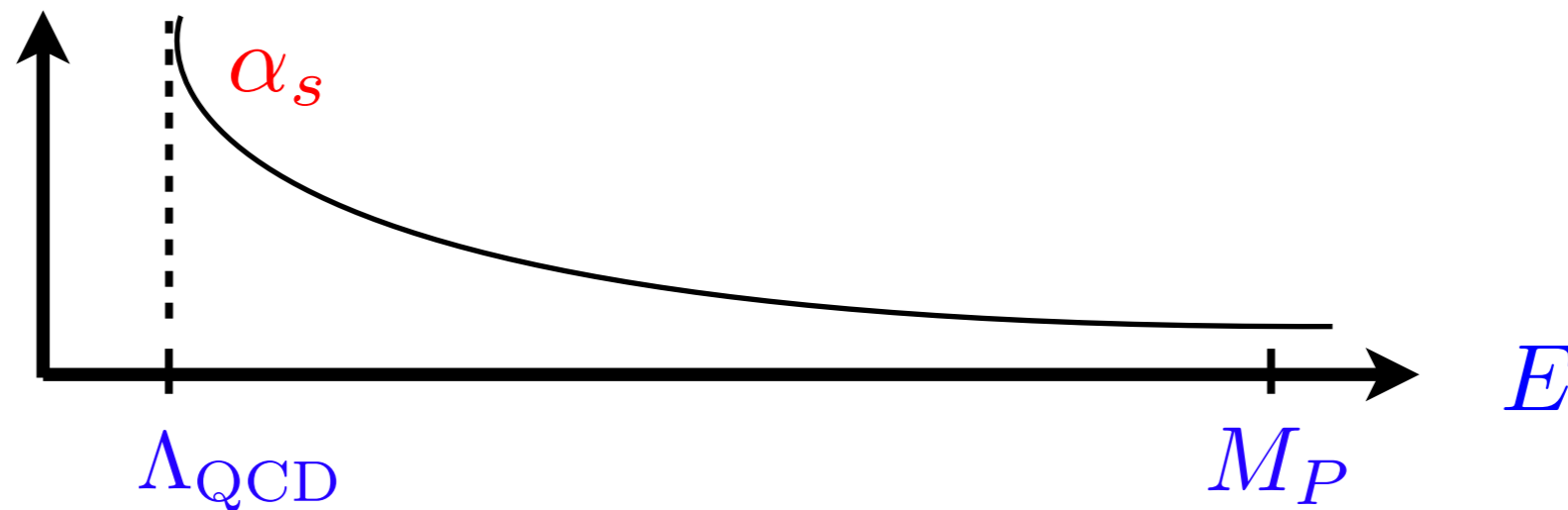


Alex Pomarol, UAB & IFAE (Barcelona)

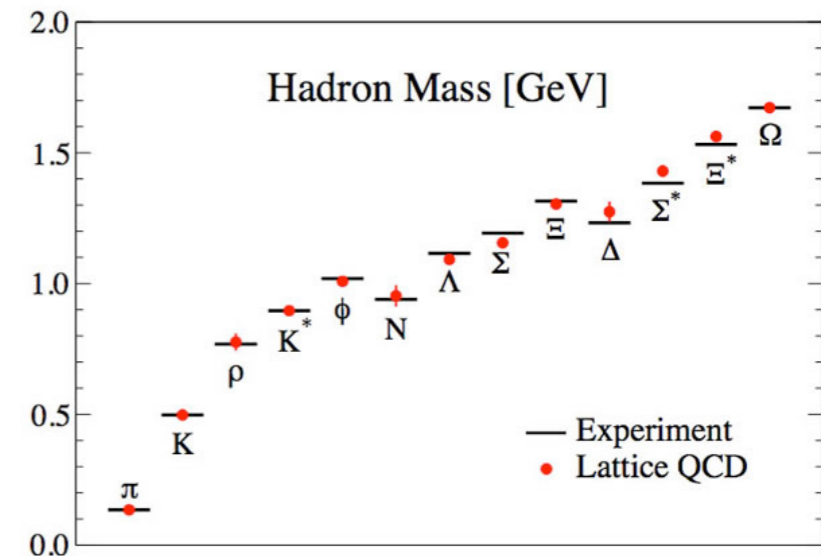
Why Strong Dynamics at $\Lambda \sim \text{TeV}$?

To explain why $m_H \ll M_P \sim 10^{19} \text{ GeV}$

As in QCD:



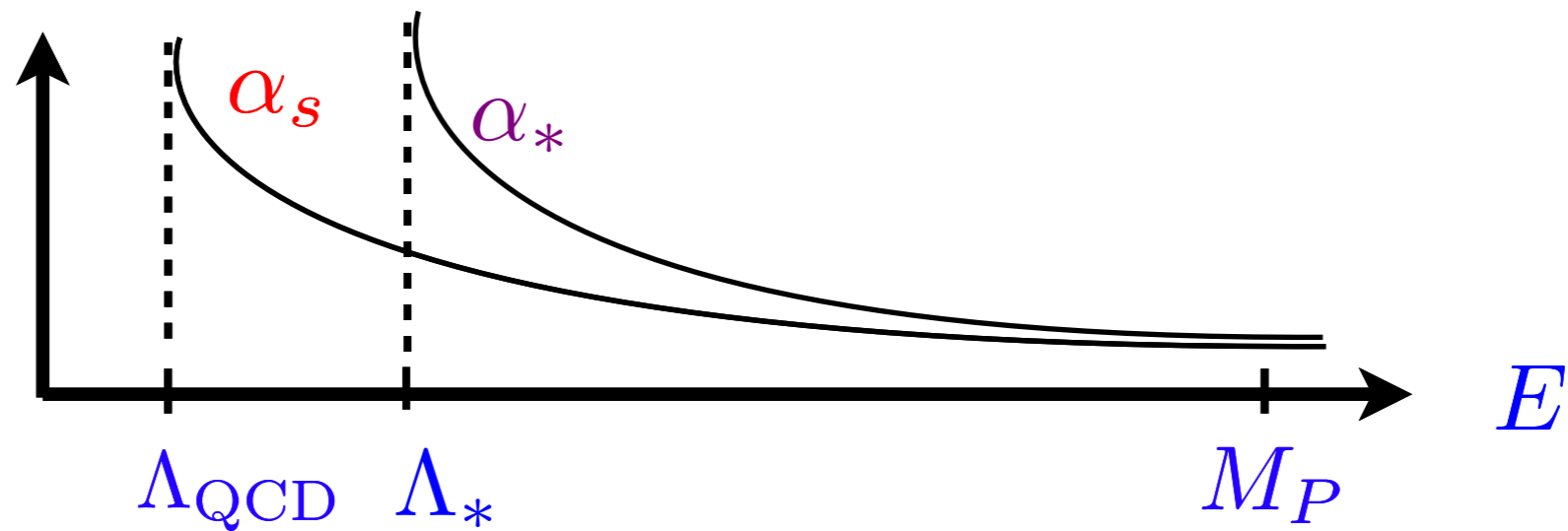
Explains why $\Lambda_{\text{QCD}} \ll M_P$ and the origin of most hadron masses



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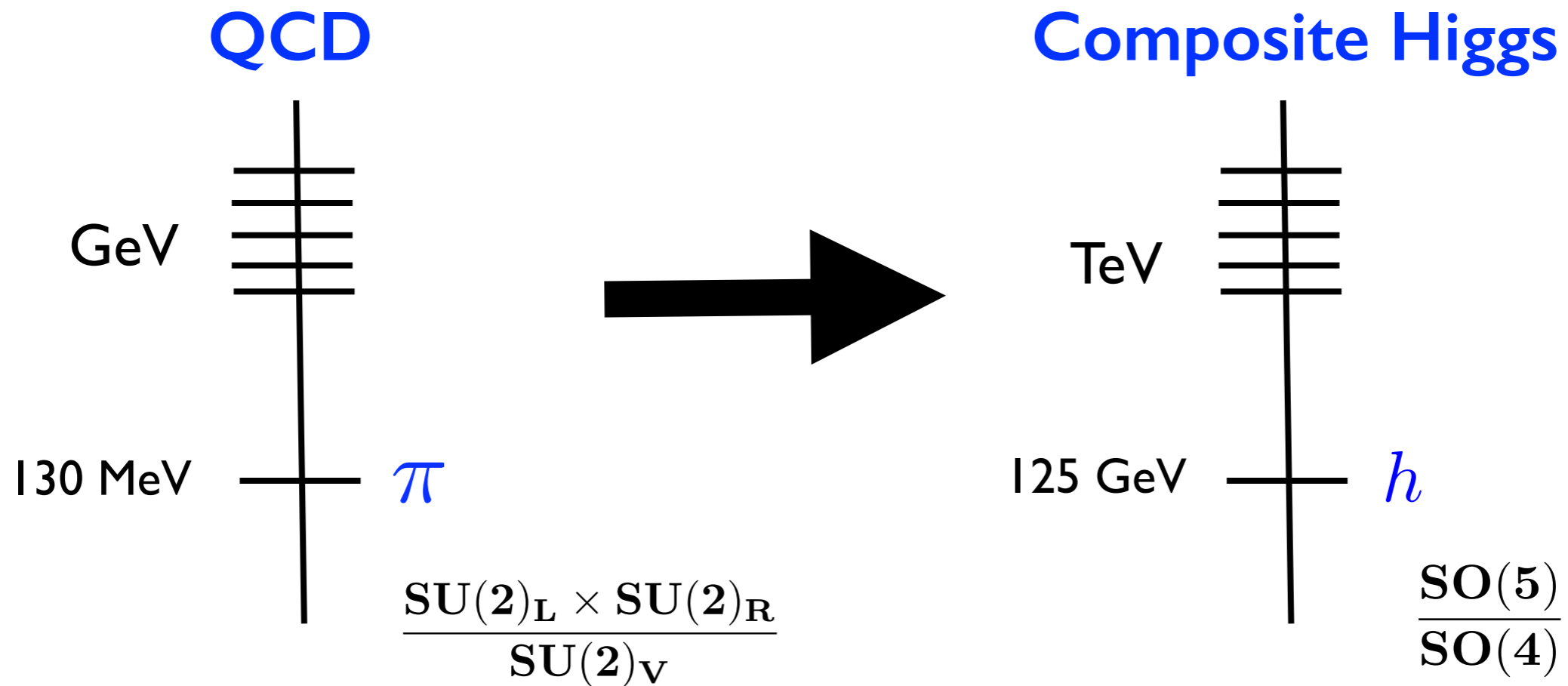
As in QCD:



New strong dynamics at TeV

It could explain why $m_H \lesssim \Lambda_* \sim \text{TeV} \ll M_P$

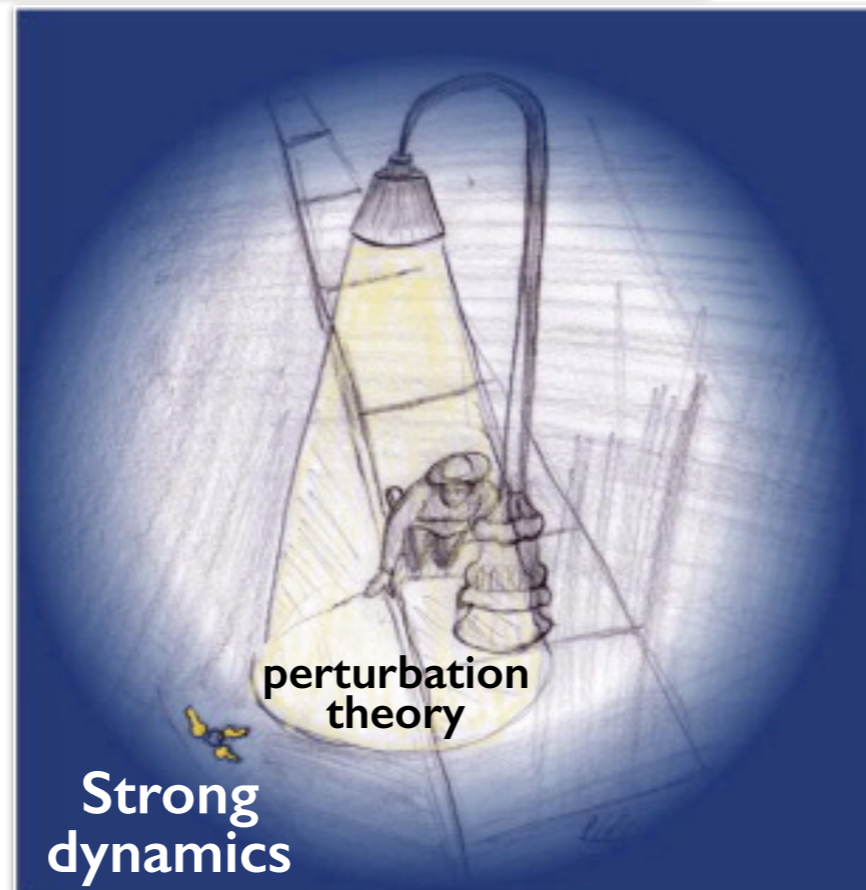
Composite Higgs



The Higgs, the lightest of the new strong resonances,
 as pions in QCD: they are Pseudo-Goldstone Bosons (PGB)

Dealing with strong dynamics...

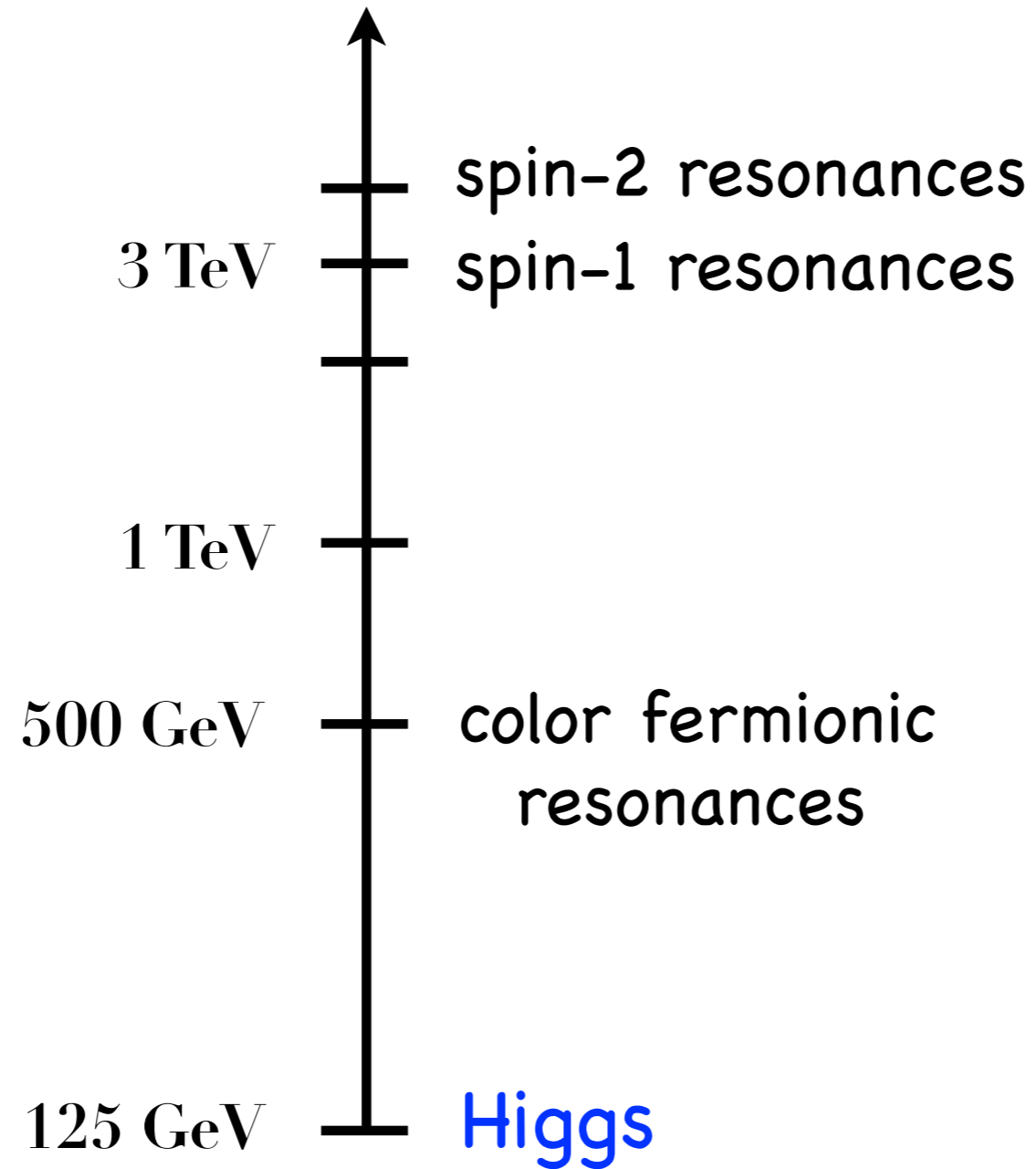
Beyond the lamp-post:



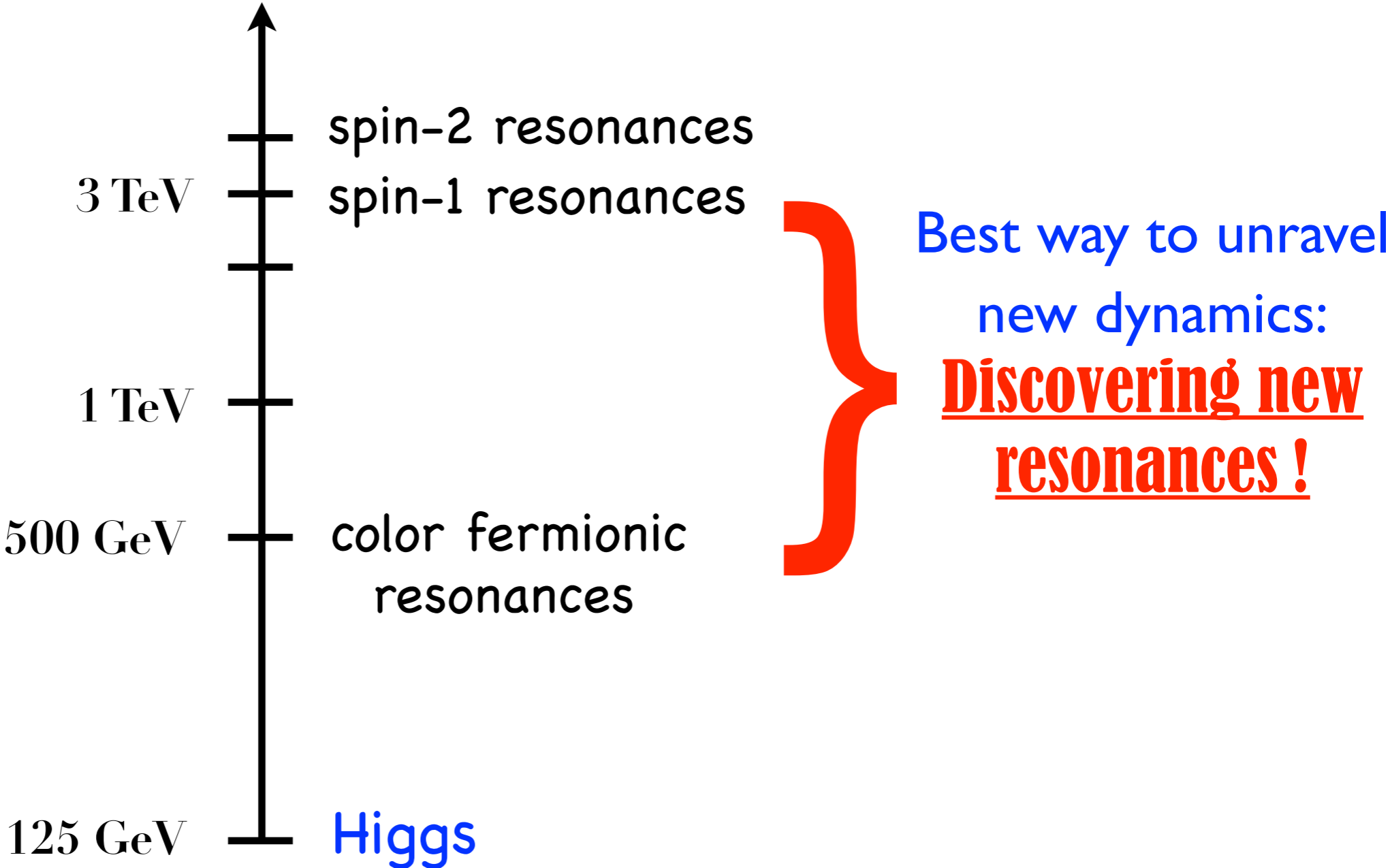
But it's possible provide a characterization of the expected signals

(as in the 60', experiments should be driving the field)

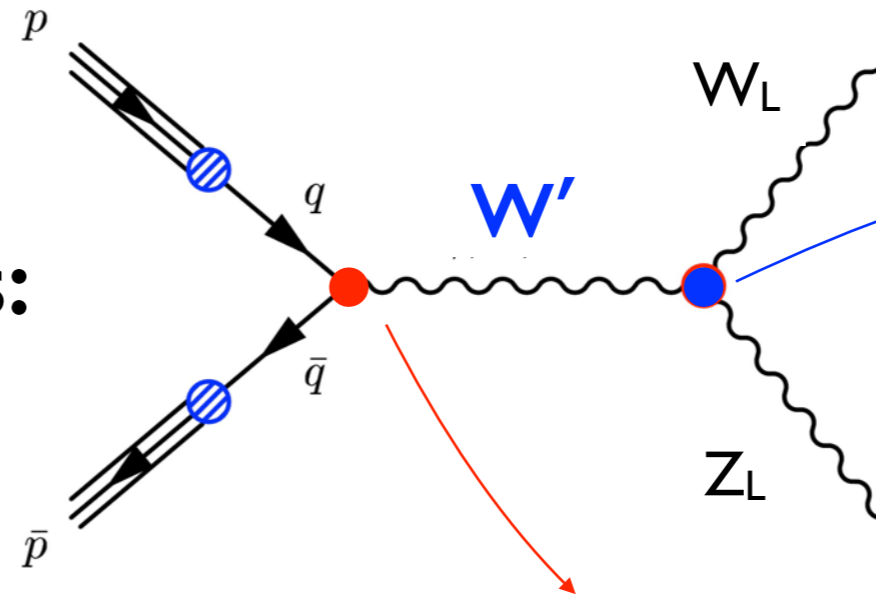
Expected spectrum in Composite Higgs Scenarios



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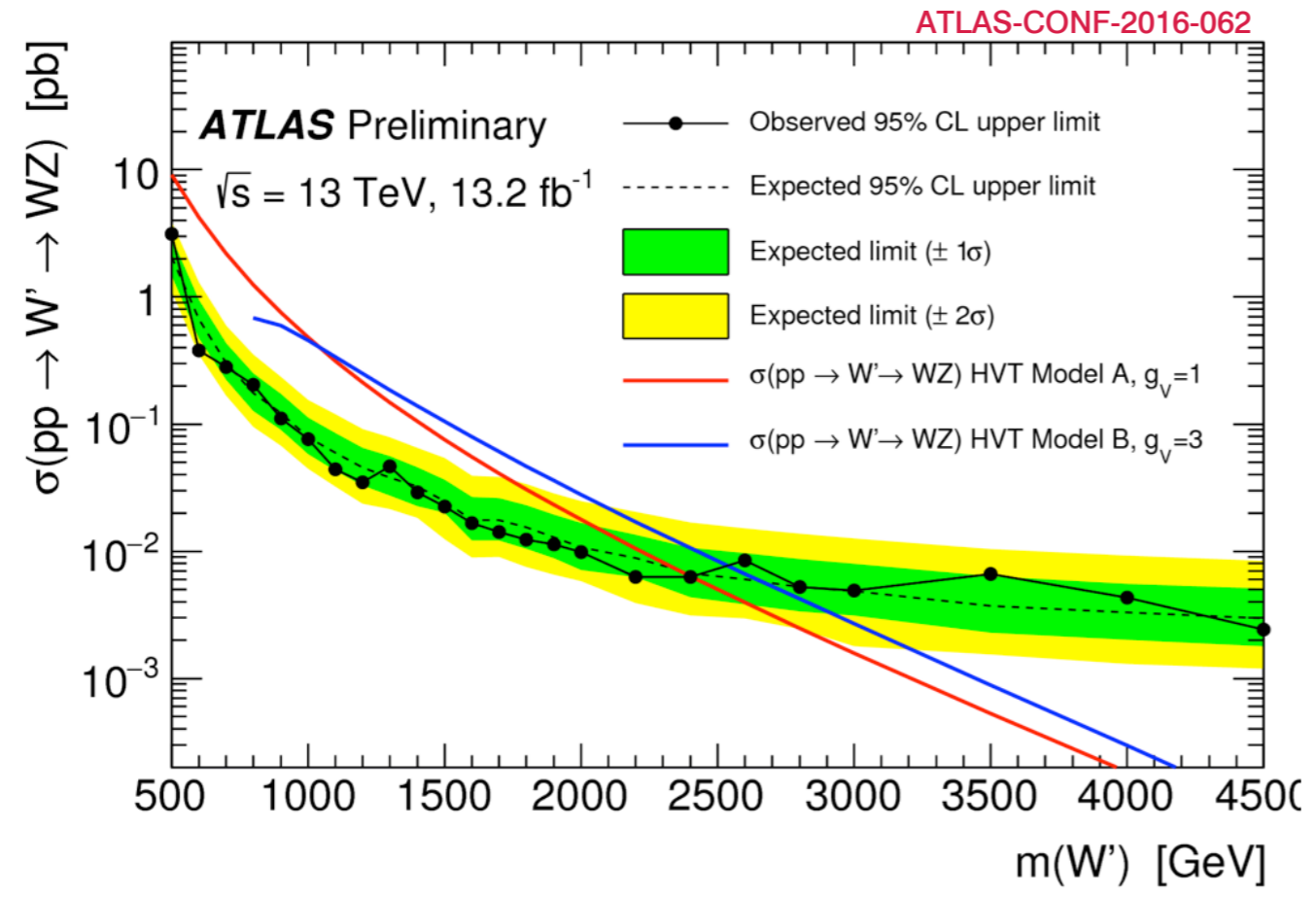
Spin-1 resonance searches:



enhanced by large couplings from the composite sector

through mixing with the SM W:
suppressed by large couplings from the composite sector

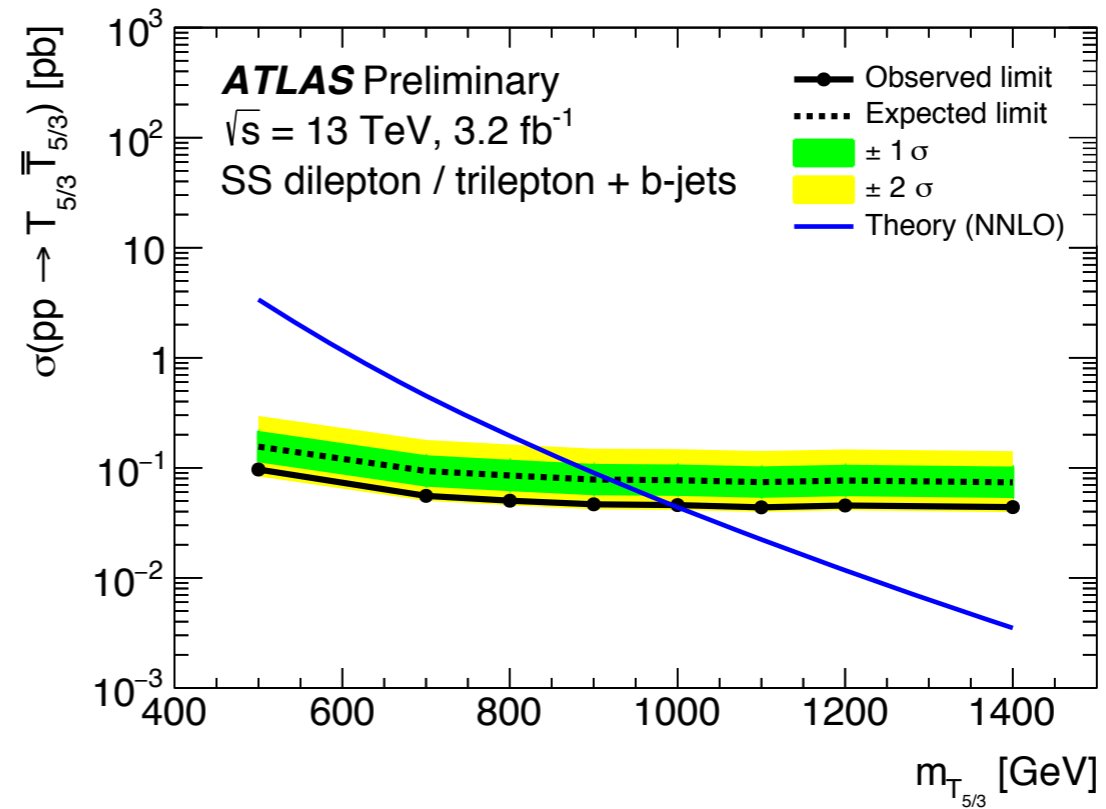
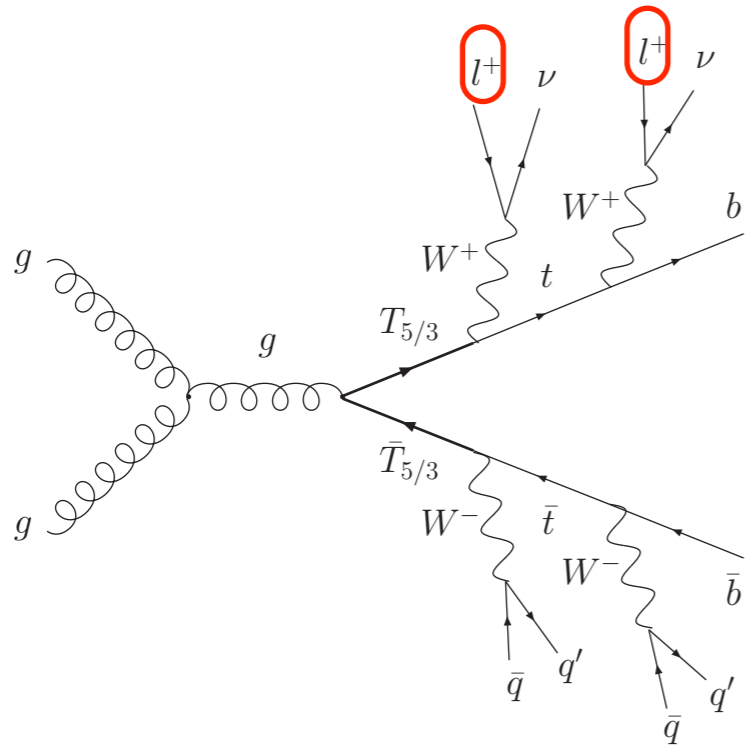
$W' \rightarrow \ell \nu qq$



$m(W') \gtrsim 2.5 \text{ TeV}$

scratching
the interesting regions!

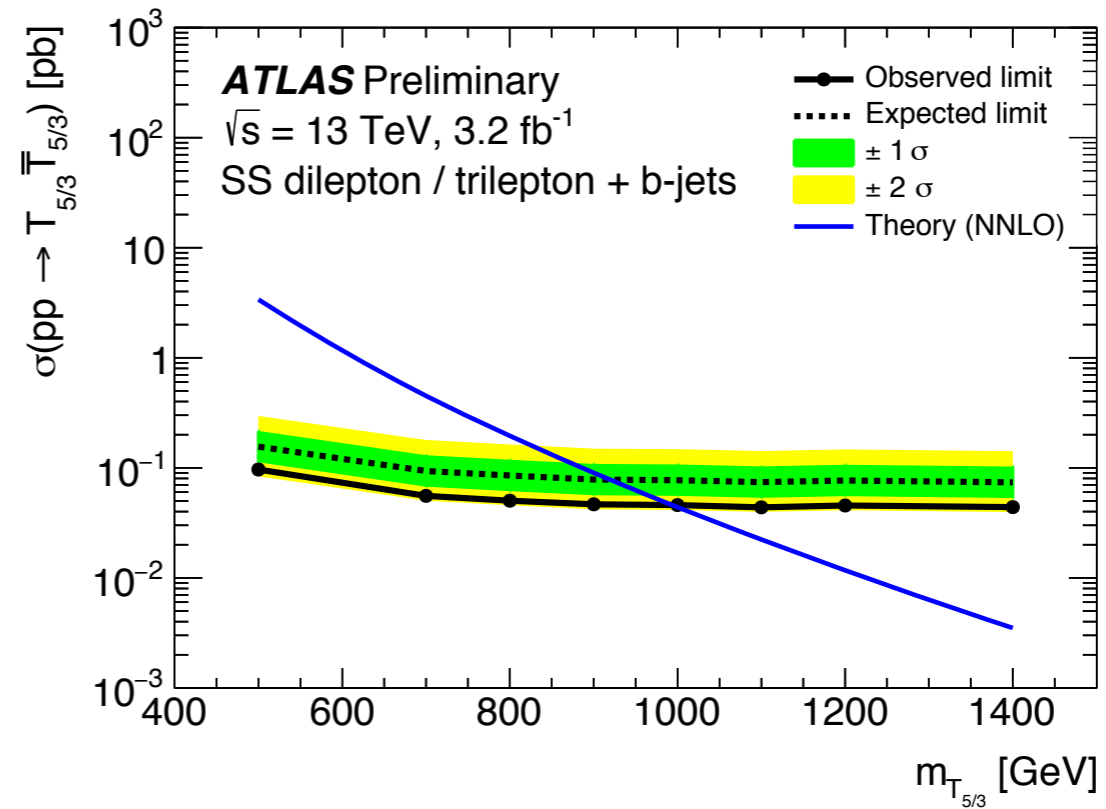
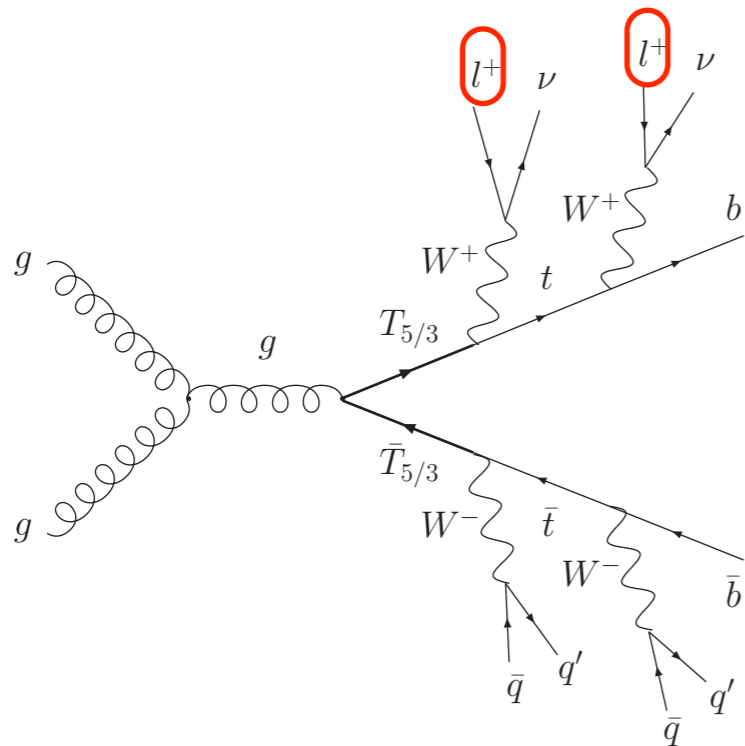
Colored fermion resonances at LHC 13 TeV



First important
 constraint
 from LHC:

$$m(X_{5/3}) \gtrsim 1 \text{ TeV}$$

Colored fermion resonances at LHC 13 TeV

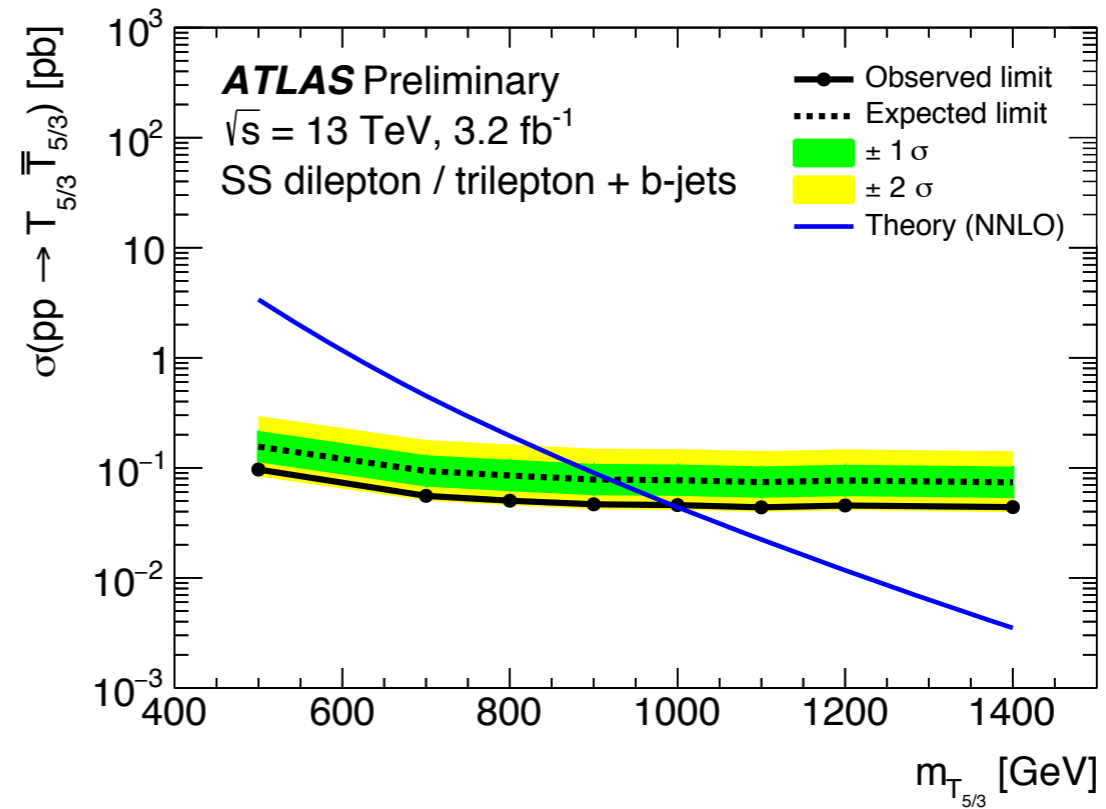
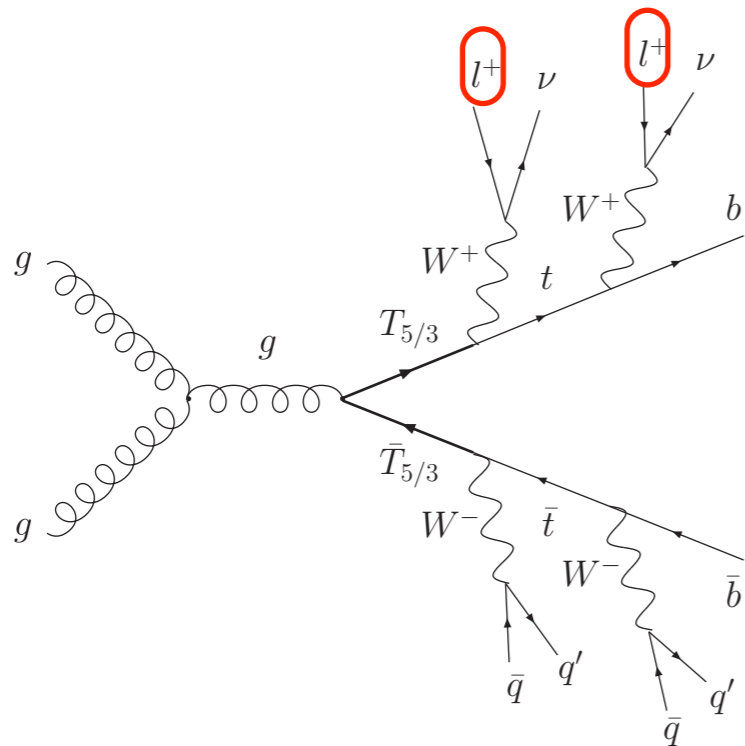


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The situation starts being worrisome..
but not yet desperate

Colored fermion resonances at LHC 13 TeV



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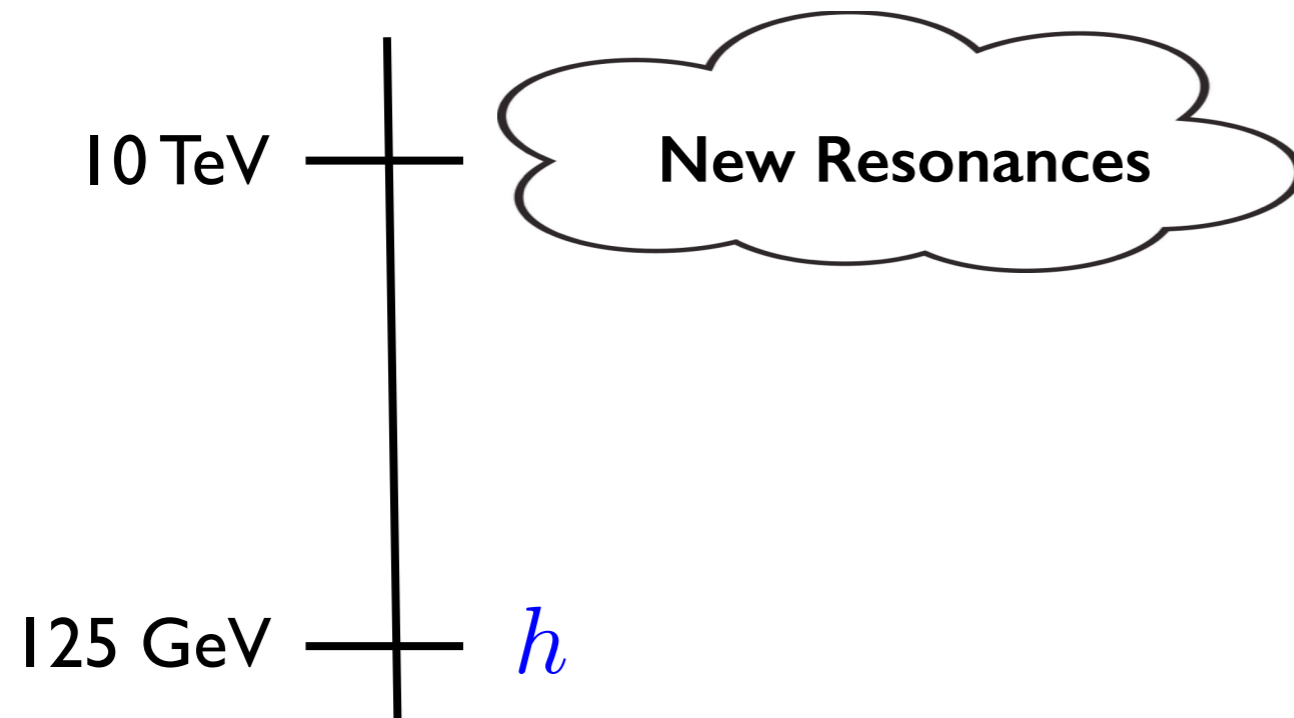
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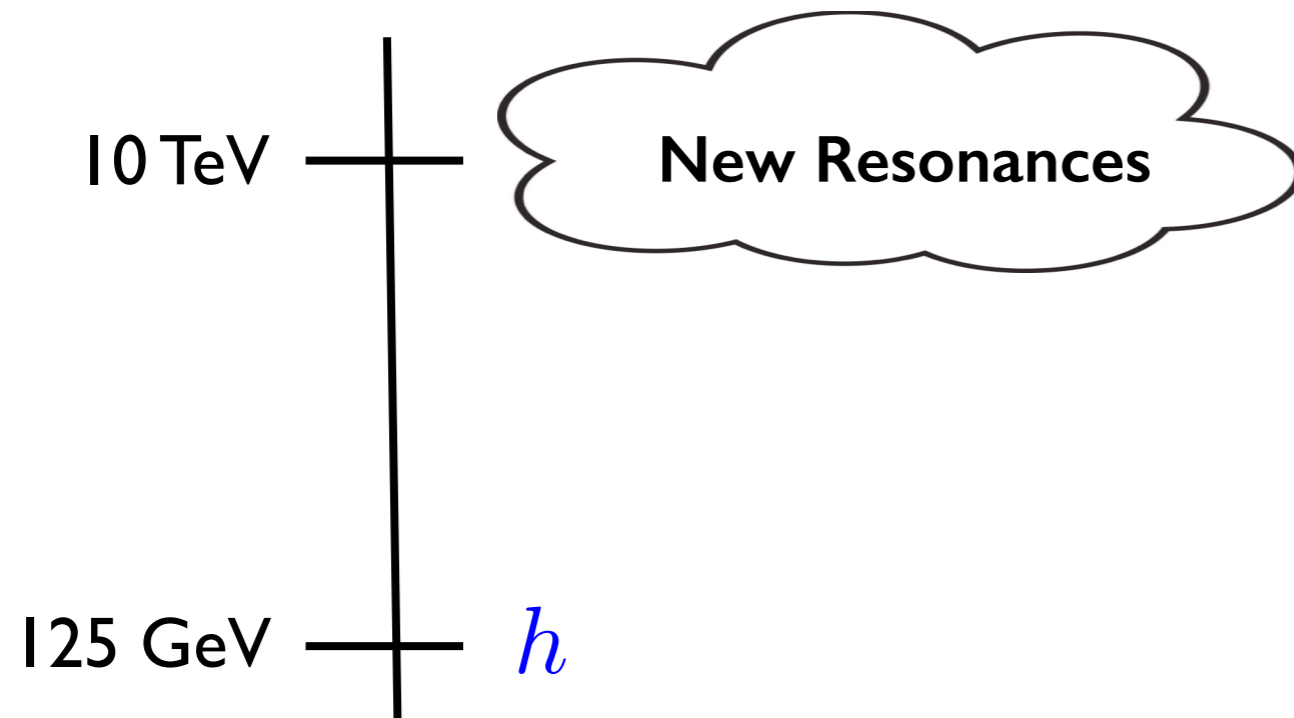


(not as bad as susy)

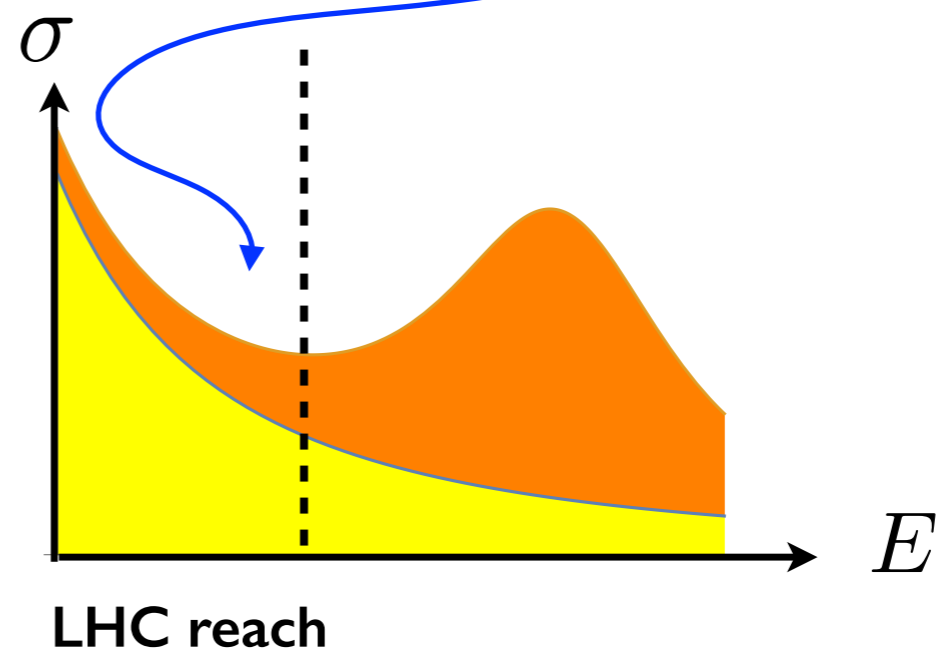
If the new-strong sector turns out to be too heavy to detect resonances at the LHC...



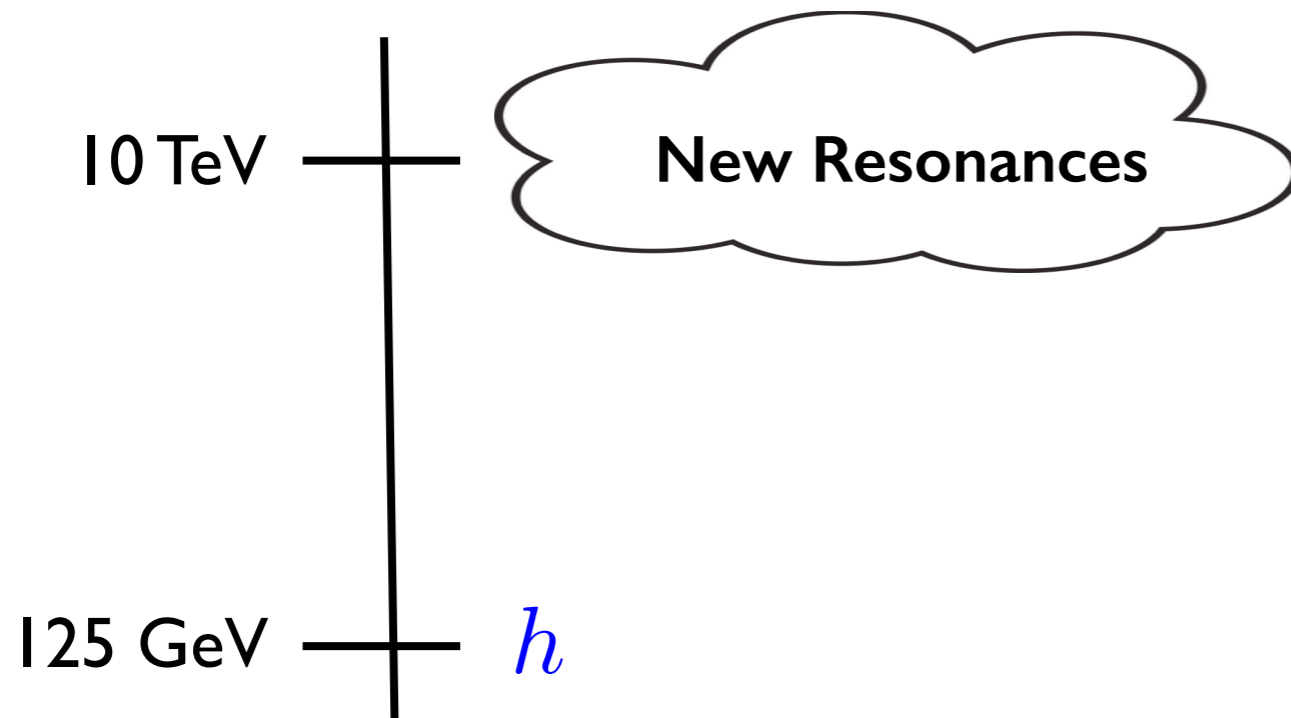
If the new-strong sector turns out to be too heavy to detect resonances at the LHC...



LHC still offers the possibility to see new-physics in deviations in $2 \rightarrow 2$ SM processes:

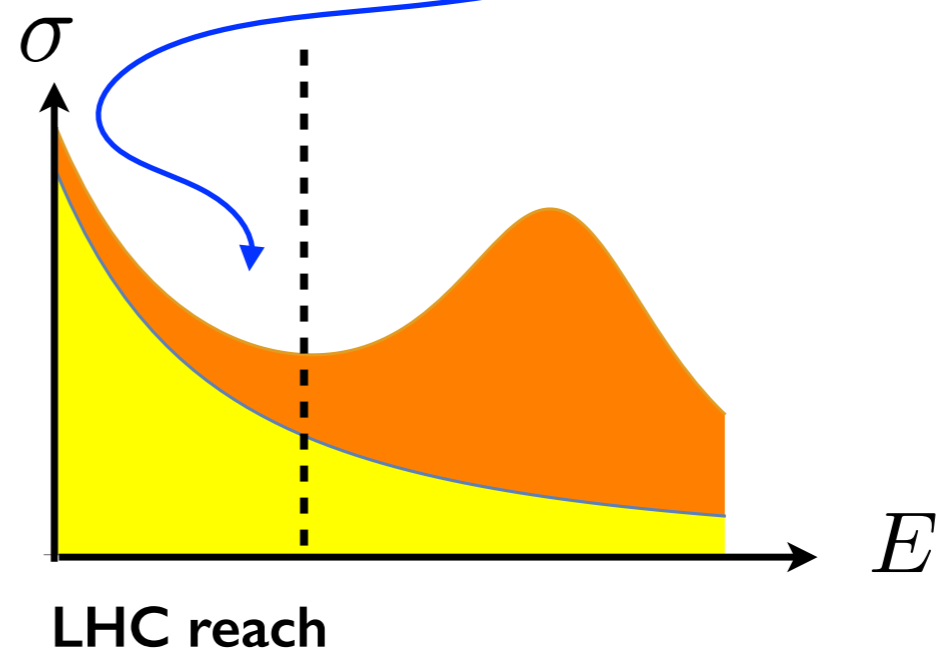


If the new-strong sector turns out to be too heavy to detect resonances at the LHC...



LHC still offers the possibility to see new-physics in deviations in $2 \rightarrow 2$ SM processes:

Even if we cannot get the resonance, we could get its tail



Effects of the resonance “tails”

Encoded in **Higher-dimensional operators**,

e.g. $(D^\mu H)^\dagger (D^\nu H) B_{\mu\nu}$, $W_{\mu}^{a\nu} W_{\nu\rho}^b W^{c\rho\mu}$, ...

generated after integrating out new-physics

Goal: Recognize the relevant effects

e.g. those that make the
2→2 amplitudes grow with E

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Goal: Recognize the relevant effects

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Restrict only to dimension-6 operators?

W. Buchmuller and D. Wyler 86
& thousands more...

Be careful that this could either be...

Redundant: Missing correlations

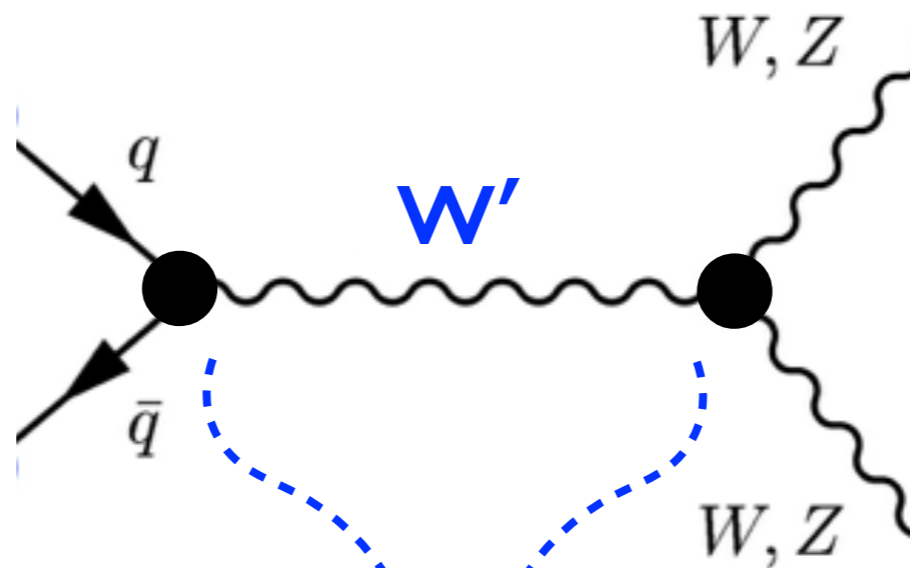
Incomplete: Dimension-8 operator also relevant in certain BSMs

The energy expansion parameter:

$$\frac{E^2}{\Lambda^2} \ll 1$$

can be overcomed by strong couplings: g_* = coupling of the BSM

e.g.



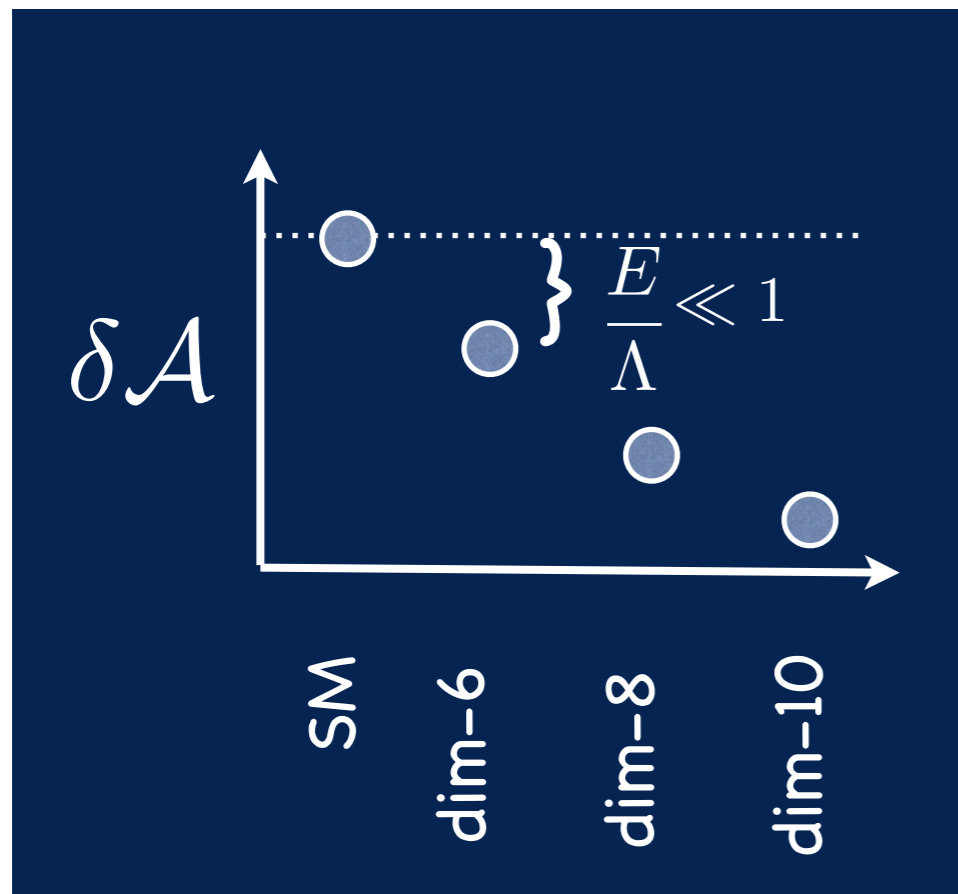
$$g_*^2 \frac{E^2}{\Lambda^2}$$

Large effect: $1 \ll \frac{g_*^2}{g_2^2} \lesssim 16\pi^2 \sim 160!$

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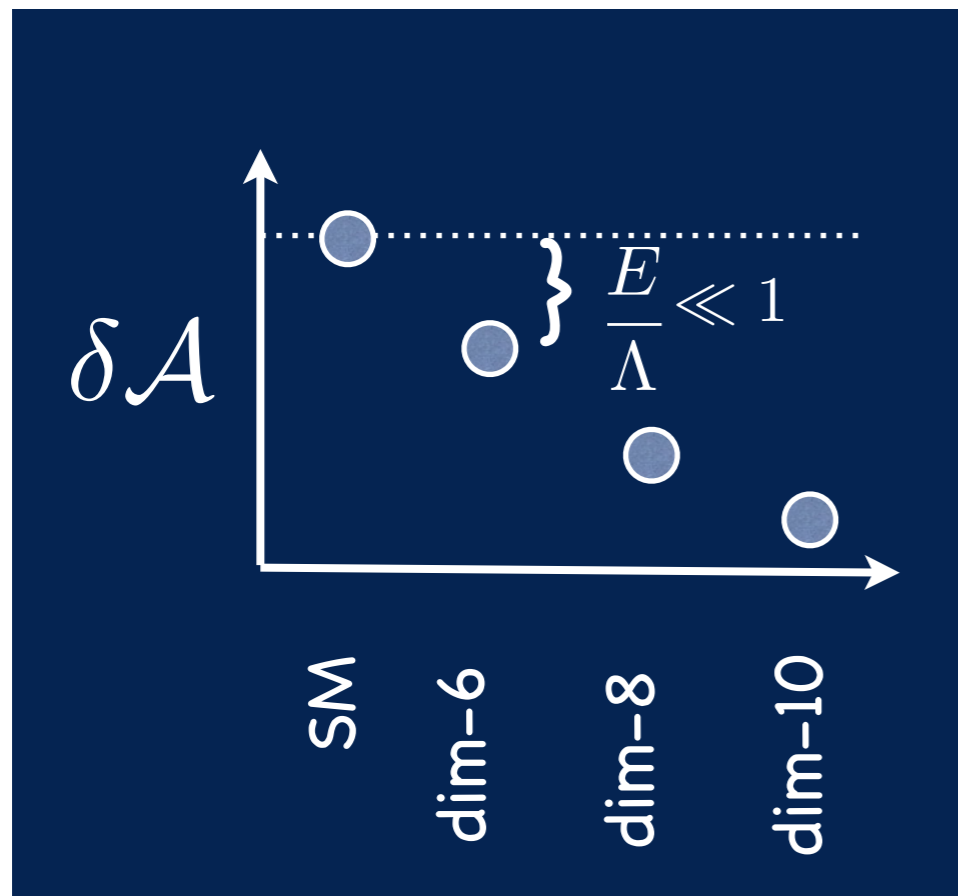


Weakly-coupled BSM

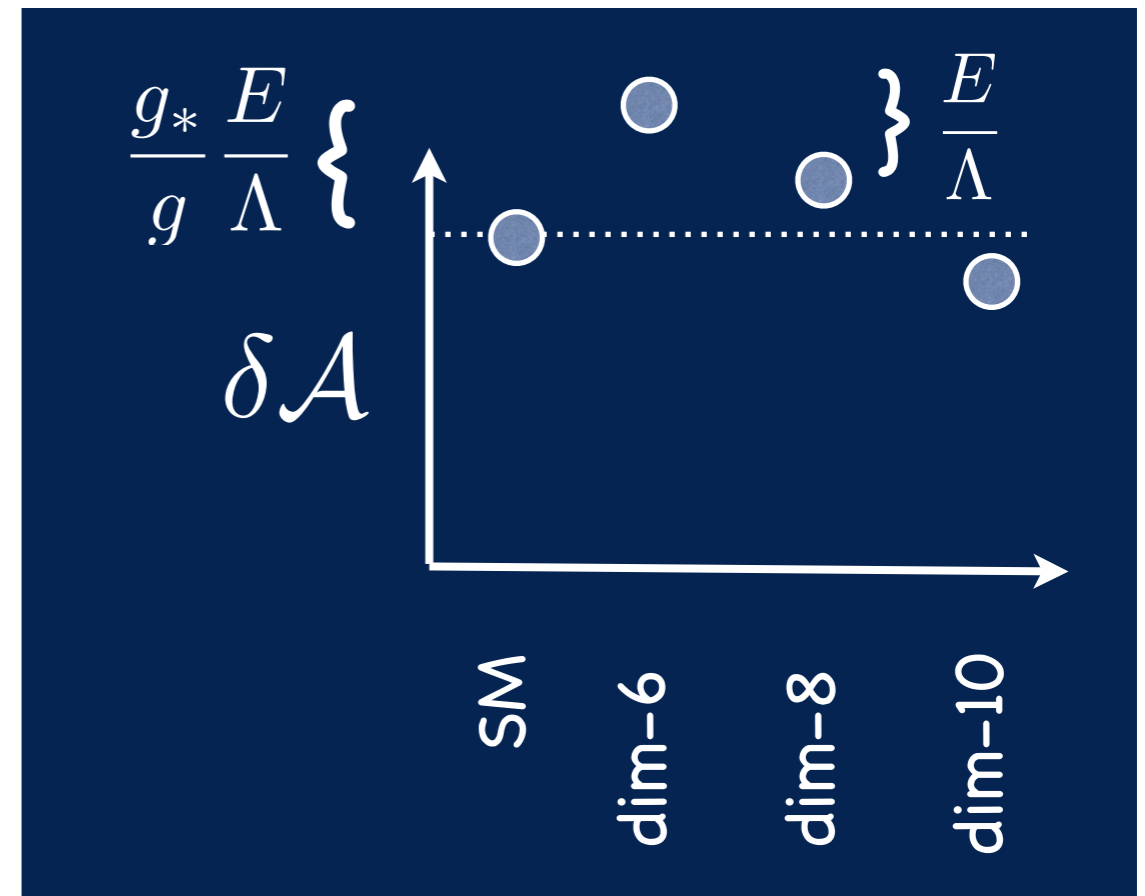
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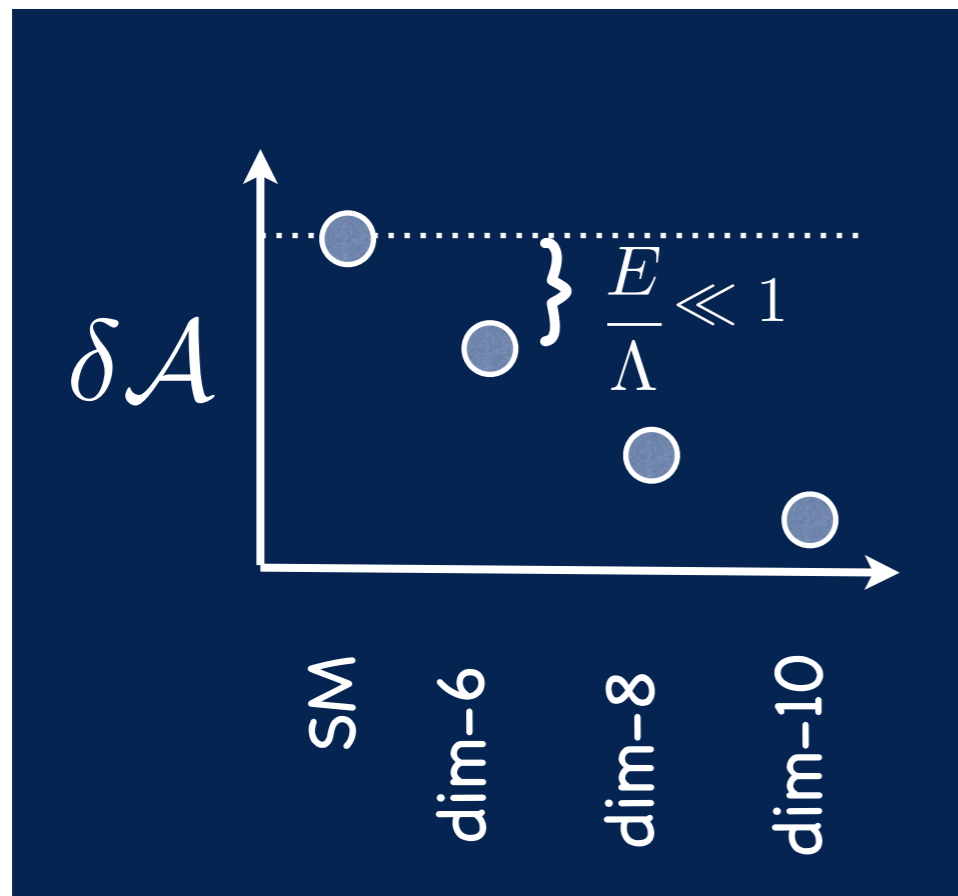


Strongly-coupled BSM

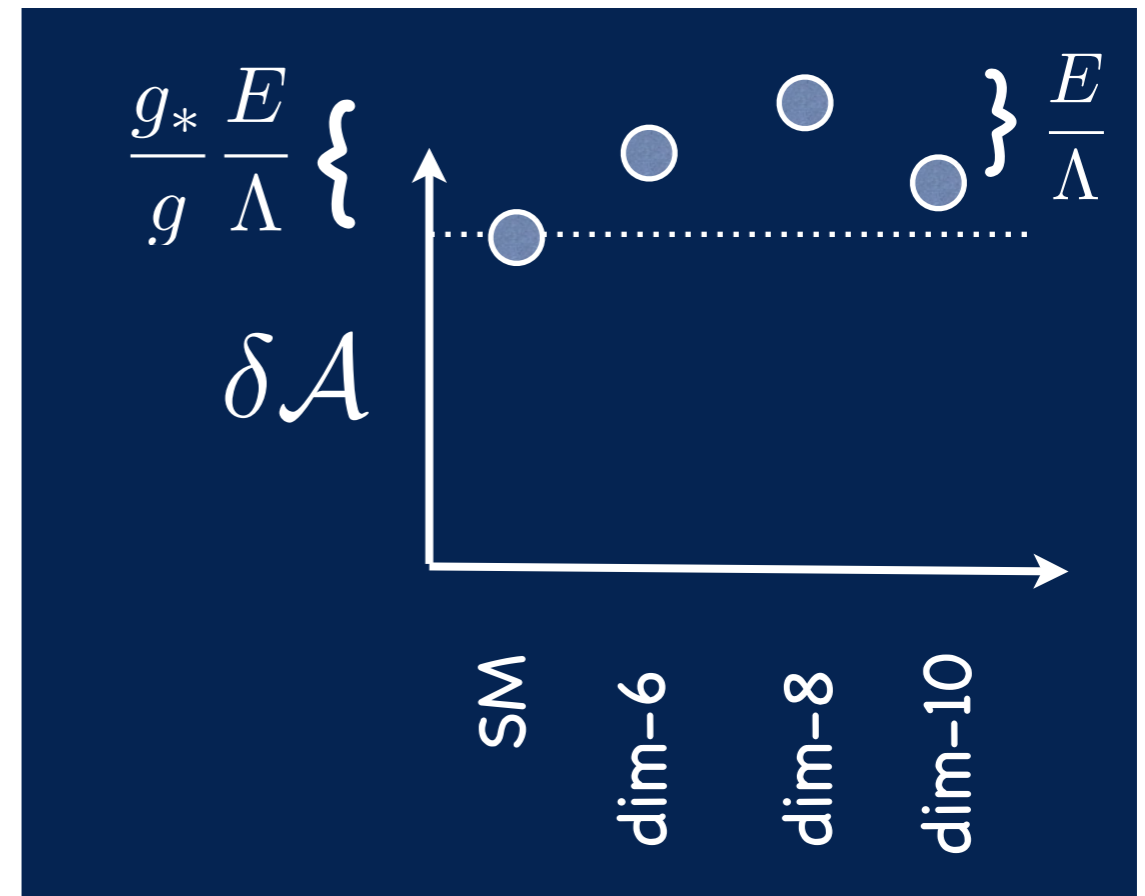
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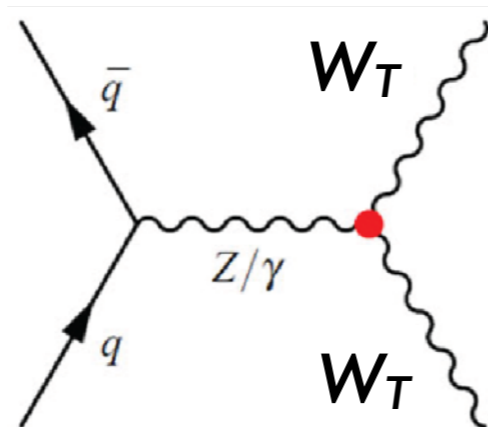
Weakly-coupled BSM



Strongly-coupled BSM

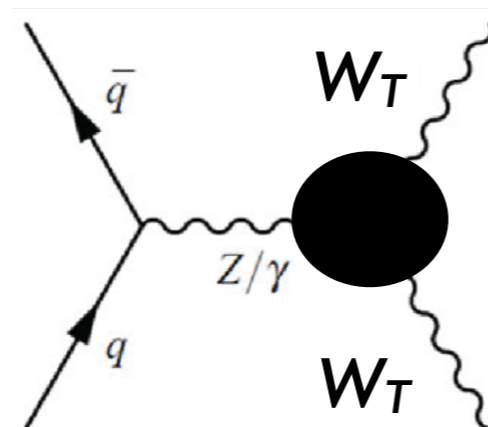
Example:

Dim-4:



$$\mathcal{A}_{\text{SM}} \sim g^2$$

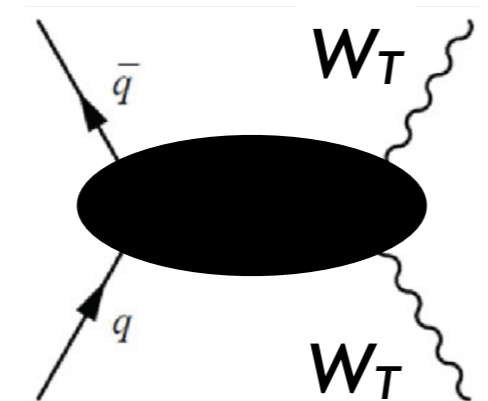
Dim-6:



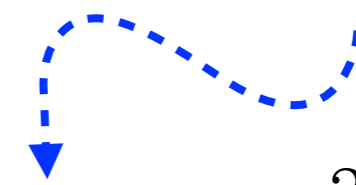
$$\frac{\delta \mathcal{A}}{\mathcal{A}_{\text{SM}}} \sim \frac{g_*}{g} \frac{E^2}{\Lambda^2}$$

number of couplings dictated by the number of fields:
Max of 2 in $2 \rightarrow 2$ scattering
 (\hbar -counting)

Dim-8:



$$\frac{\delta \mathcal{A}}{\mathcal{A}_{\text{SM}}} \sim \left(\frac{g_*}{g} \frac{E^2}{\Lambda^2} \right)^2$$



In the simplest Composite Higgs Models



Apart from Higgs physics, only WW -scattering is expected to grow sizably with the energy & new strong-coupling:

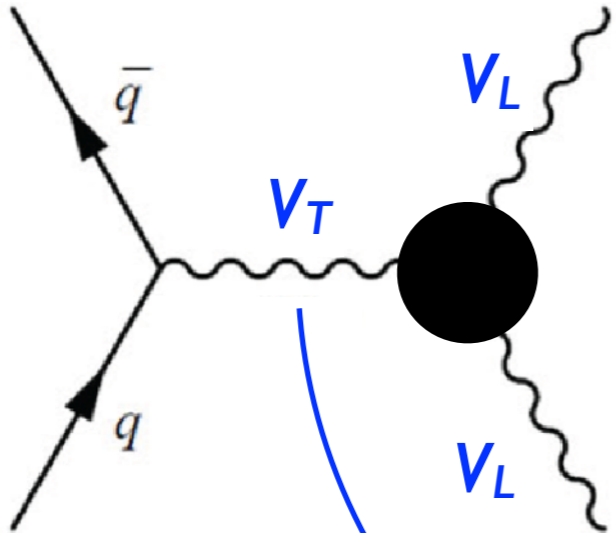
Feynman diagram showing four W_L bosons (dashed lines) interacting at a central grey circle vertex.

$$\sim \frac{g_*^2 E^2}{m_*^2} \left(1 + \frac{E^2}{m_*^2} + \dots \right)$$

But small cross-sections at the LHC!

For the case for $q\bar{q} \rightarrow V_T V_T$:

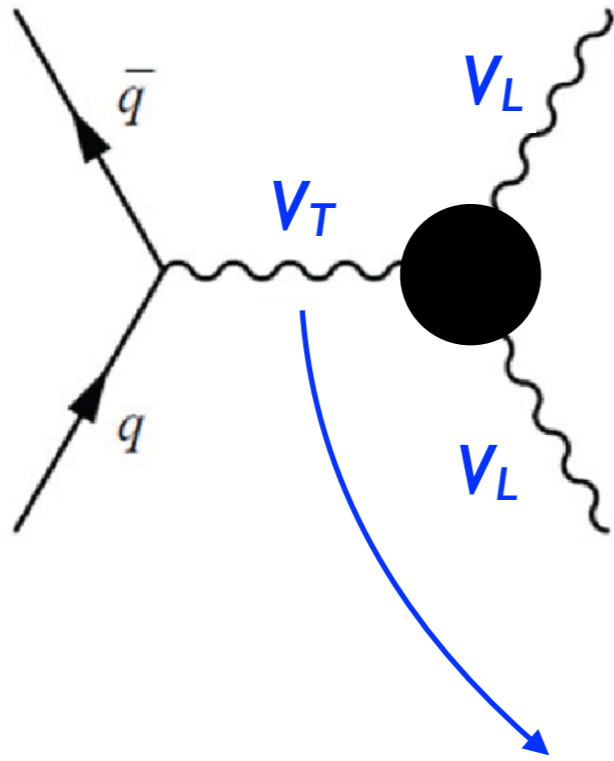
TGC:



always involve a V_T that is weakly coupled

For the case for $q\bar{q} \rightarrow V_T V_T$:

TGC:



$$\sim g^2 \frac{E^2}{\Lambda^2} \ll 1$$

Accuracy is needed to probe it!

always involve a V_T that is weakly coupled

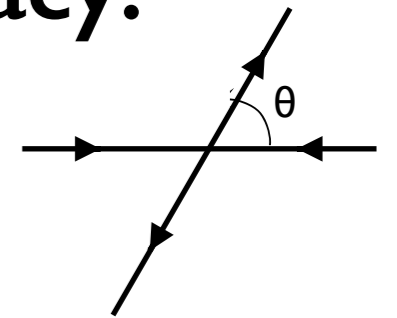
But cross-sections dominated by the transverse components:

	σ_{tot}	σ_{LL}	σ_{LL}/σ_{tot}
$q\bar{q} \rightarrow WZ:$			
8 TeV	12 pb	0.73 pb	6%
13 TeV	25 pb	1.5 pb	

its a background for the longitudinals!

WZ production give the only chance to get accuracy:

- Symmetries force $W_T Z_T$ go to zero for $\theta \rightarrow 90^\circ$
- Small background in their leptonic decays



Franceschini, Panico, AP, Riva,
Wulzer, in preparation

See A. Wulzer's talk

Transverse components of the SU(2) gauge bosons

$$q\bar{q} \rightarrow V_1 V_2$$

SU(2)-decomposition

$$\left\{ \begin{array}{l} \text{singlet: } W^a W_a \\ \text{triplet: } \epsilon_{abc} W^b W^c \end{array} \right.$$

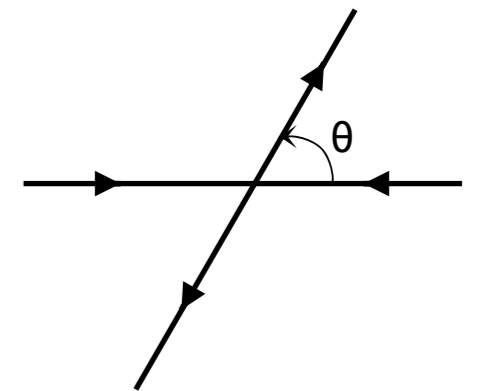
Sym. $V_1 \leftrightarrow V_2$

Antisym. $V_1 \leftrightarrow V_2$

odd under interchange final states: $\hat{u} \leftrightarrow \hat{t} \Rightarrow$ **zero at $\theta \rightarrow 90^\circ$**

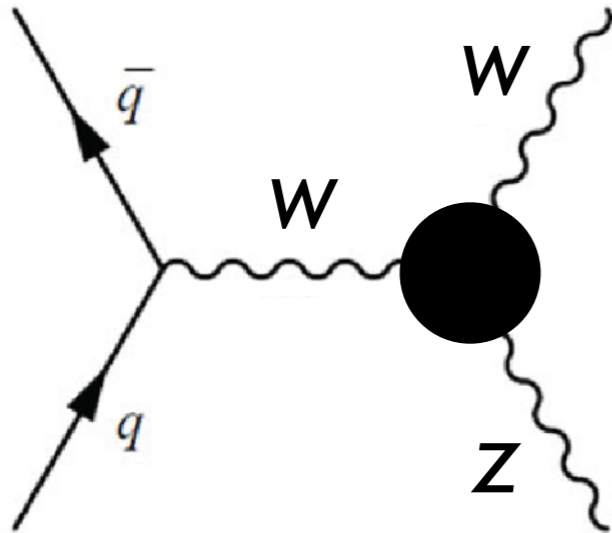
$$V_1 V_2 = W^+ W^- \in 1 + 3$$

$$W^+ Z \in 3 \Rightarrow$$
 zero at $\theta \rightarrow 90^\circ$



up to small effects from
the U(1)_Y gauge boson $\subset Z_\mu \propto Y_L \sin^2 \theta_W \sim 0.04$

How much accuracy and energy is needed?



$$\frac{\delta \mathcal{M}_{00}}{\mathcal{M}_{00}^{\text{SM}}} = 1 - \frac{\hat{S}}{m_Z^2} \delta g_1^Z$$

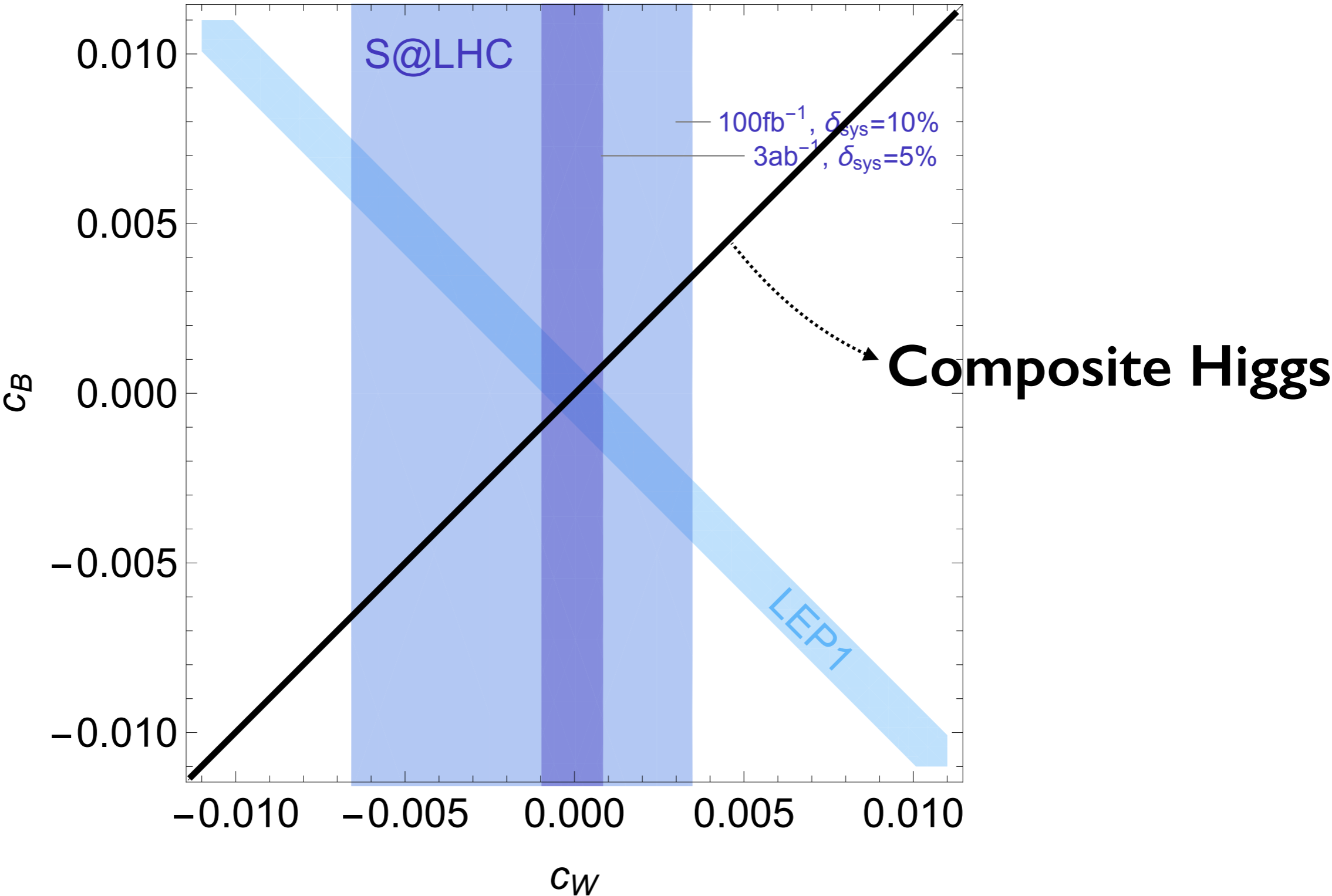
Shift of the SM **WWZ-coupling**

Franceschini, Panico, AP, Riva, Wulzer

Its size is similar to the S-parameter bound at LEP at the per-mille:

$$-g^2 c_{\theta_W}^2 \delta g_1^Z \simeq \frac{g^2}{2} \hat{S}$$

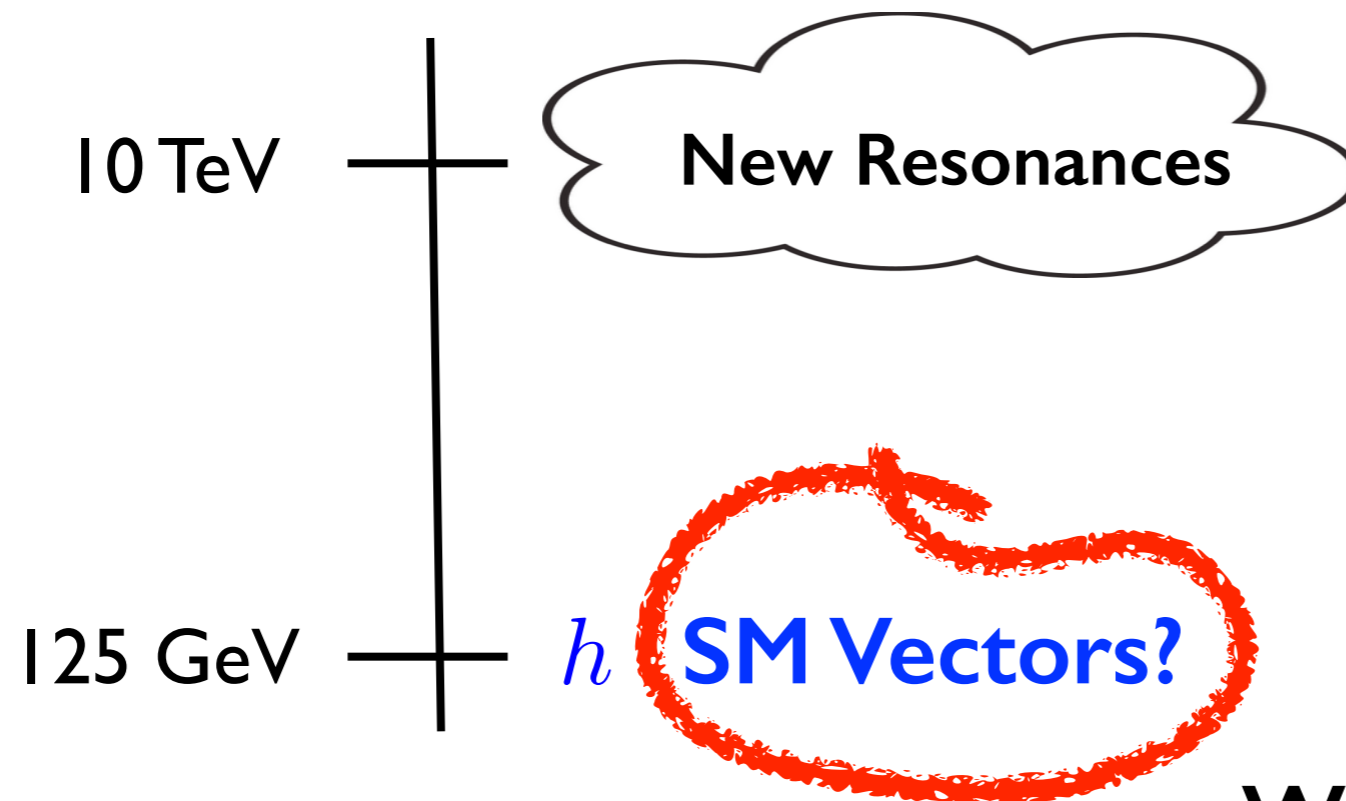
To test $\delta g_1^Z \sim 3 \times 10^{-3}$ **→ We must be able to see a 10 % deviation of WWZ-production at $m_{WZ} > 300$ GeV ($\cos\theta < 0.5$)**



What else can we learn from di-bosons?

What else can we learn from di-bosons?

New possibilities if other SM states arise from the new strong TeV-dynamics:



What to expect?

Composite SM Vectors?

Really? Their (gauge) coupling g is small ($g/4\pi \ll 1$)

& corrections to their propagators small (from LEP)

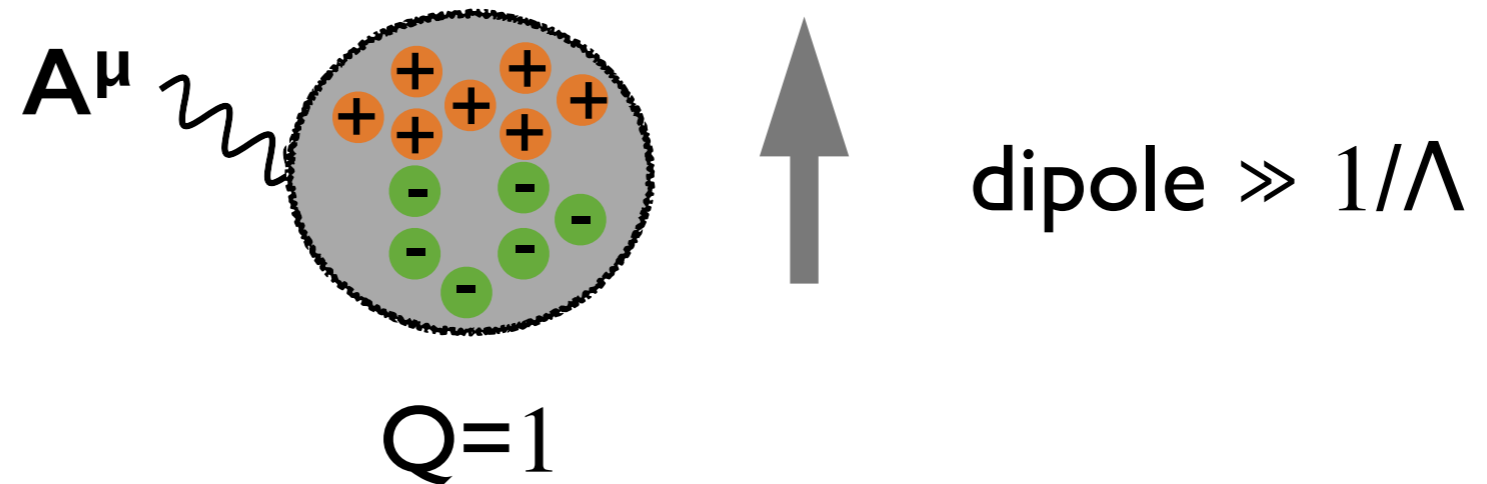
But remember pions (PGB) have two different type of couplings:

Large derivative-couplings: $(\pi \partial_\mu \pi)^2$ (preserve $\pi \rightarrow \pi + c$)

Small gauge couplings: $(\pi \partial_\mu \pi) A^\mu$ (break $\pi \rightarrow \pi + c$)

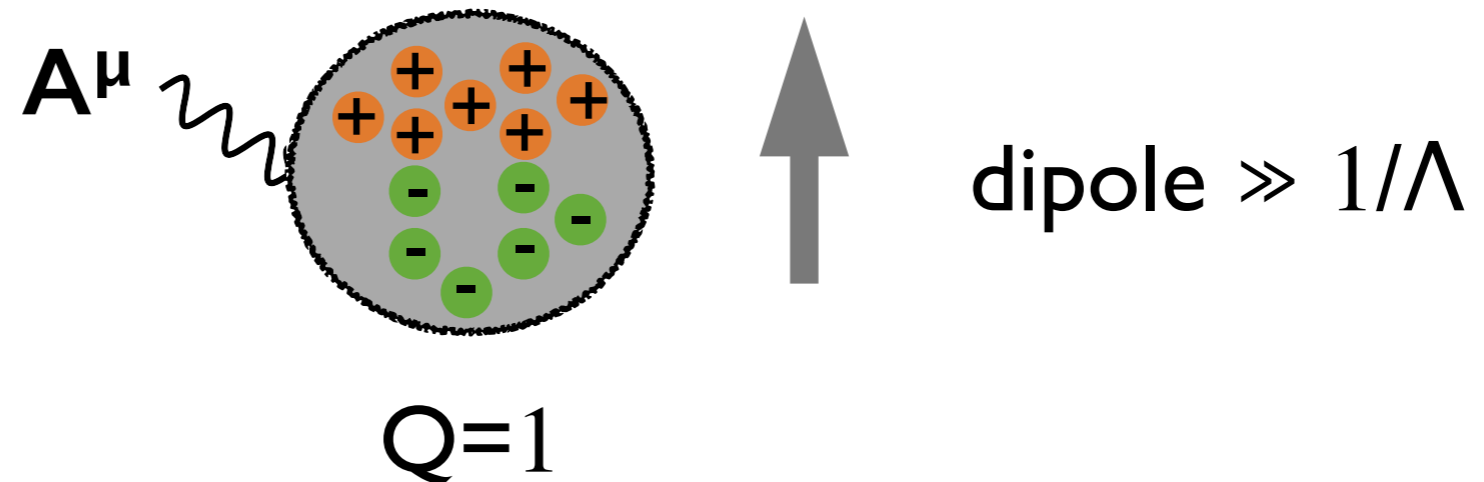
Possibility: Composite SM vector only with sizable field-strength interactions $F_{\mu\nu}$

Effective Theory of Strong Dipole Interactions



Example: QED at $E < m_e =$ Euler-Heisenberg EFT (only dipole int.)

Effective Theory of Strong Dipole Interactions



Example: QED at $E < m_e$ = Euler-Heisenberg EFT (only dipole int.)

We cannot provide a real model...

but a consistent (stable!) low-energy description
as charge is not renormalized:

$$\mathcal{L} = \frac{M^4}{g_*^2} L \left(\frac{\partial_\mu + ig A_\mu}{M}, g_* \frac{F_{\mu\nu}}{M^2}, \Phi \right)$$

We named these scenarios *Remedios**

* *Remedios the Beauty was not a creature of this world* - Gabriel Garcia Marquez.

SYMMETRY PATTERNS

In the non-abelian case, e.g. $SU(2)_L$:

Strong sector symmetry

Smoothly deformed by g

$$[U(1)_{\text{local}}]^3 \rtimes SU(2)_{\text{global}}$$



$$SU(2)_{\text{local}}$$

$$\mathcal{L} = \frac{M^4}{g_*^2} L \left(\frac{\partial_\mu}{M}, g_* \frac{\hat{F}_{\mu\nu}^a}{M^2}, \Phi \right)$$

$$\mathcal{L} = \frac{M^4}{g_*^2} L \left(\frac{\partial_\mu + ig A_\mu^a}{M}, g_* \frac{F_{\mu\nu}^a}{M^2}, \Phi \right)$$

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$$[U(1)_{\text{local}}]^3 \rtimes SU(2)_{\text{global}} \longrightarrow SU(2)_{\text{local}}$$

$$\mathcal{L} = \frac{M^4}{g_*^2} L \left(\frac{\partial_\mu}{M}, g_* \frac{\hat{F}_{\mu\nu}^a}{M^2}, \Phi \right) \qquad \mathcal{L} = \frac{M^4}{g_*^2} L \left(\frac{\partial_\mu + ig A_\mu^a}{M}, g_* \frac{F_{\mu\nu}^a}{M^2}, \Phi \right)$$

The inverse of a *Inonu-Wigner contraction*:

Galilei Group

Poincare Group



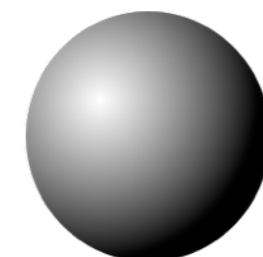
$$1/c \rightarrow 0$$

$U(1) \times U(1) \times U(1)$

$SU(2)$

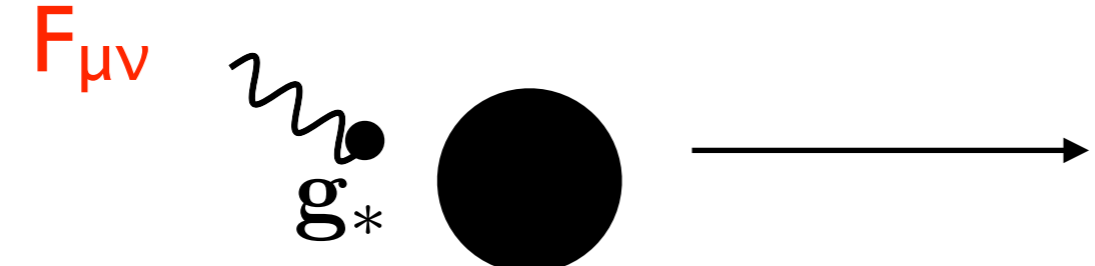


$$g \rightarrow 0$$



Remedios

Effects:



$F_{\mu\nu}$

g^*

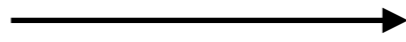
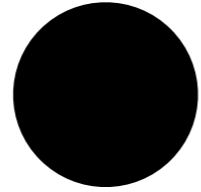
$\frac{g^*}{\Lambda^2} \text{Tr}[W_{\mu\nu} W^{\nu\rho} W_{\rho}{}^{\mu}]$

Remedios

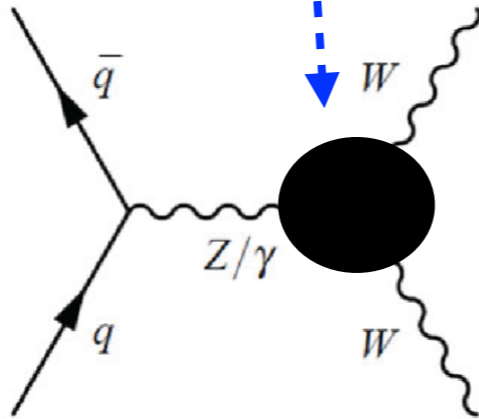
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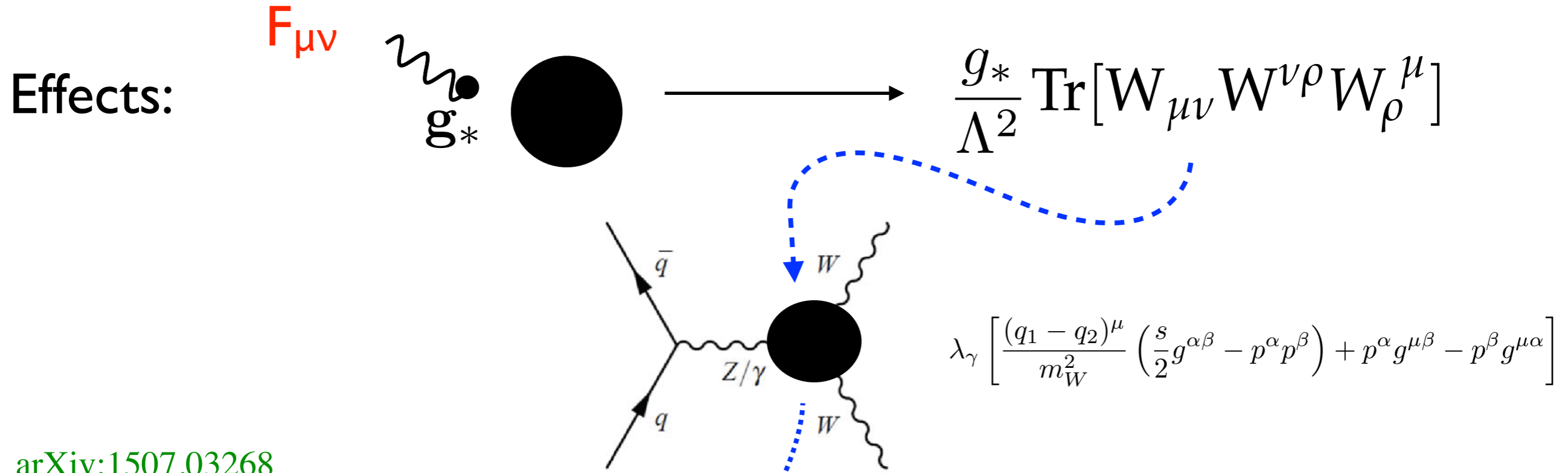


$$\frac{g_*}{\Lambda^2} \text{Tr}[W_{\mu\nu} W^{\nu\rho} W_{\rho}{}^{\mu}]$$

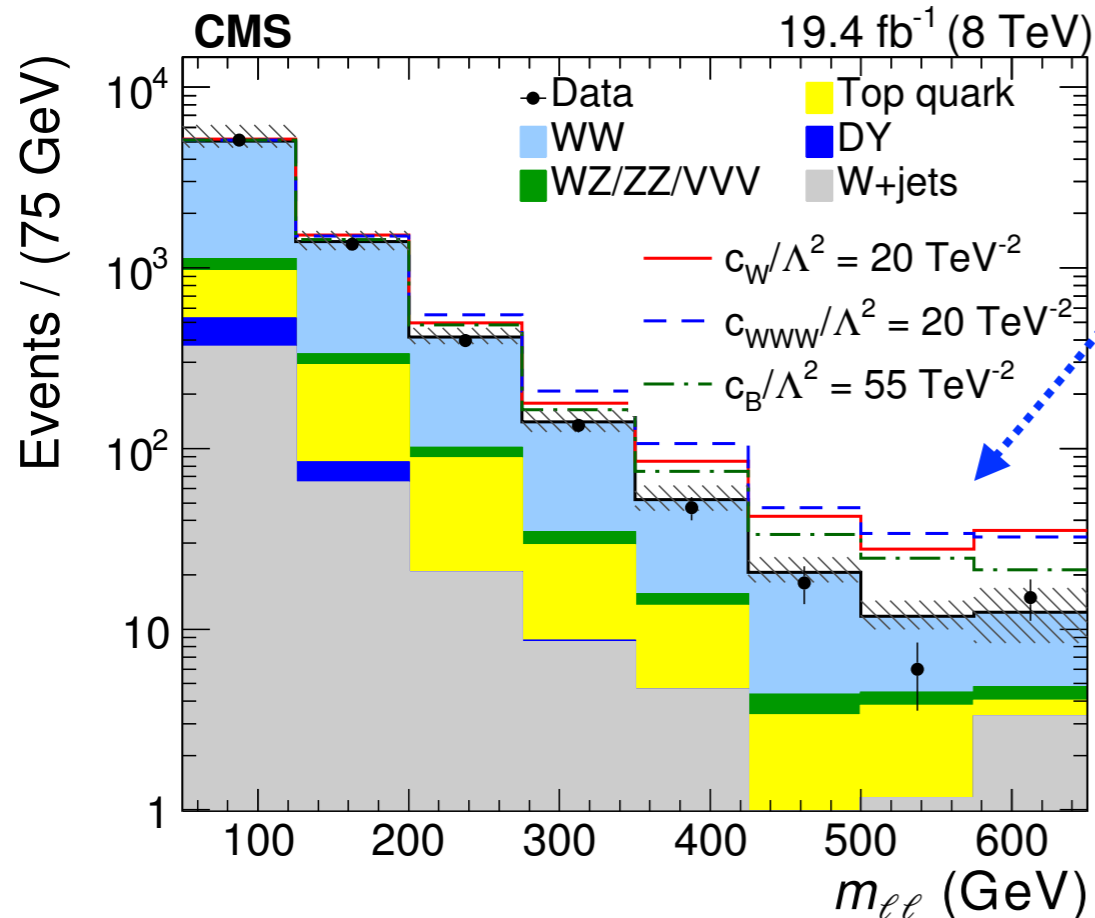


$$\lambda_\gamma \left[\frac{(q_1 - q_2)^\mu}{m_W^2} \left(\frac{s}{2} g^{\alpha\beta} - p^\alpha p^\beta \right) + p^\alpha g^{\mu\beta} - p^\beta g^{\mu\alpha} \right]$$

Remedios



arXiv:1507.03268



effect that grows with the energy

LHC8: $\Lambda \gtrsim 8.5 \text{ TeV}$ (for $g_* \sim 4\pi$)

Better than LEP!

Remember: Only valid for this type of strongly-coupled models!

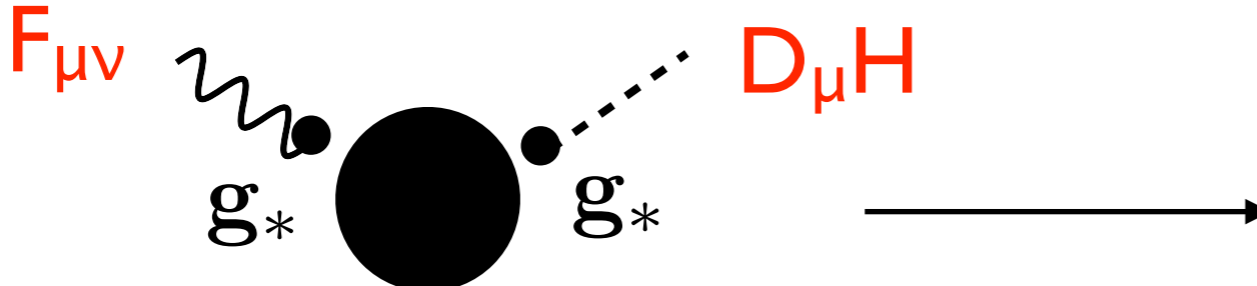
Remedios + Composite PGB Higgs

For concreteness: $H \rightarrow H+c$ preserving $SO(4)$ custodial

Remedios + Composite PGB Higgs

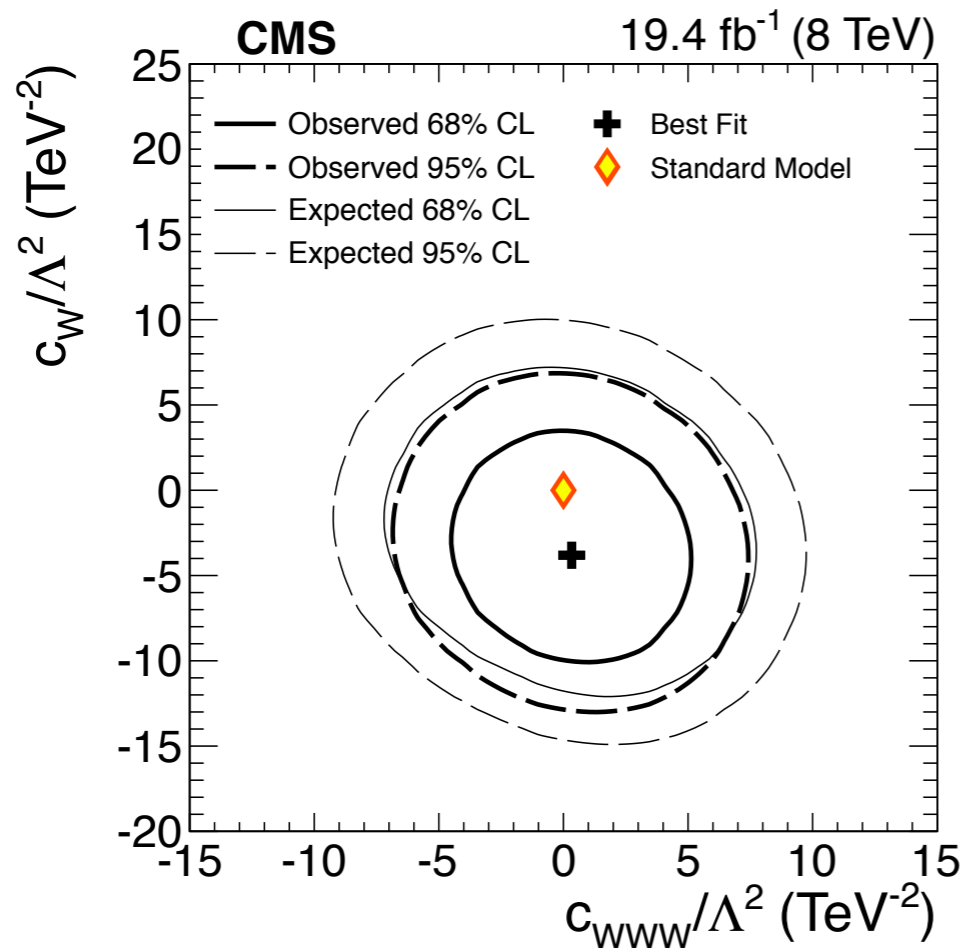
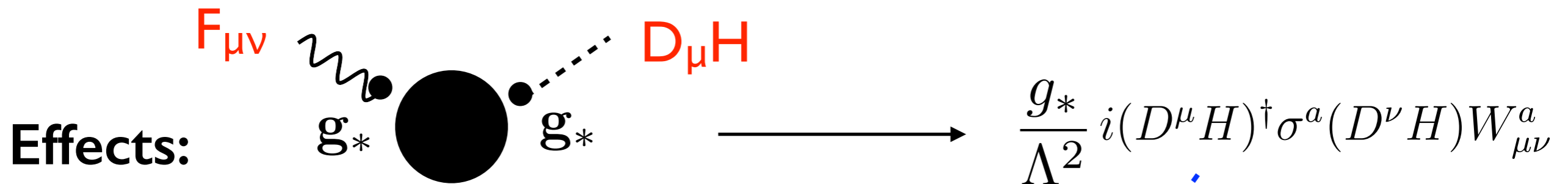
For concreteness: $H \rightarrow H + c$ preserving $SO(4)$ custodial

Effects:


$$\frac{g_*}{\Lambda^2} i (D^\mu H)^\dagger \sigma^a (D^\nu H) W_{\mu\nu}^a$$

Remedios + Composite PGB Higgs

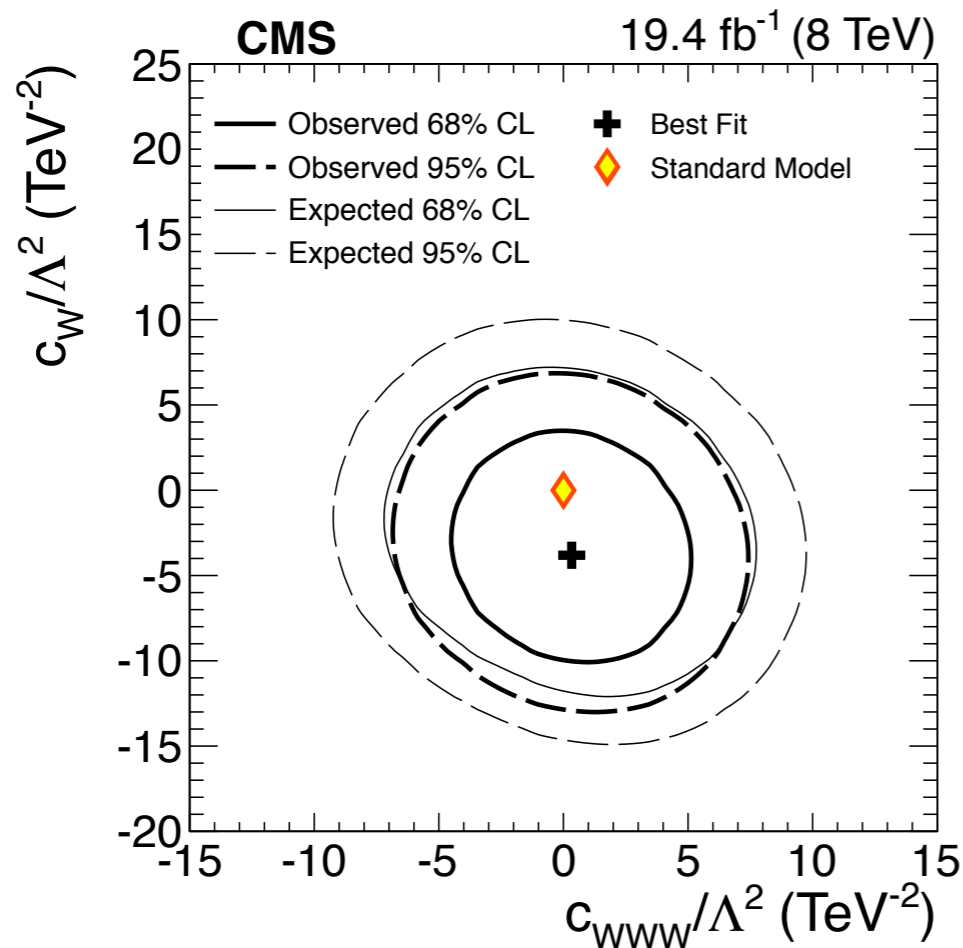
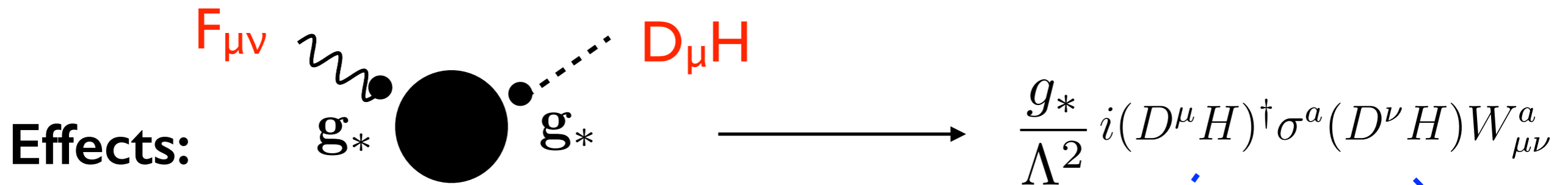
For concreteness: $H \rightarrow H + c$ preserving $SO(4)$ custodial



$qq \rightarrow VV$

Remedios + Composite PGB Higgs

For concreteness: $H \rightarrow H + c$ preserving $SO(4)$ custodial



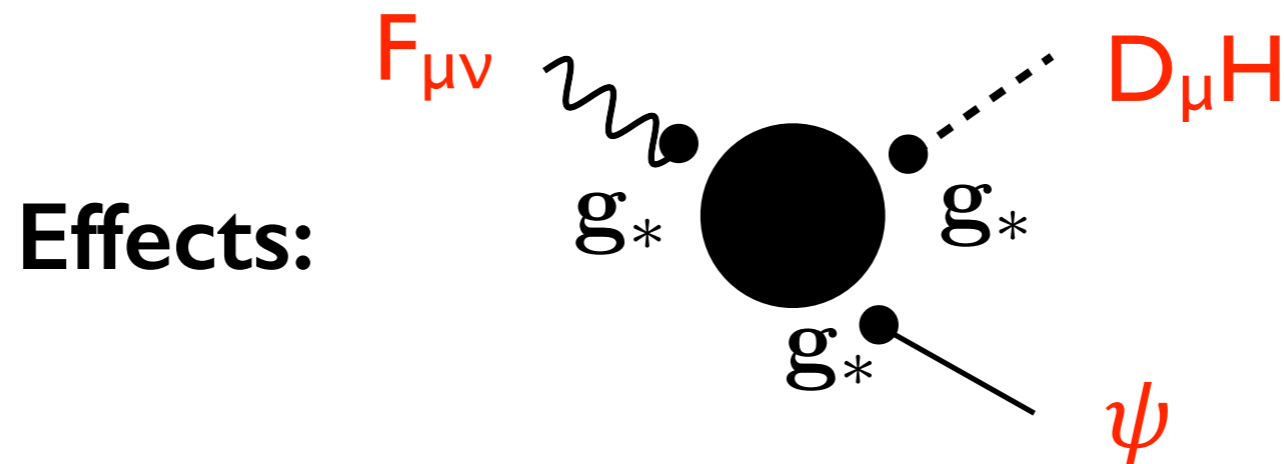
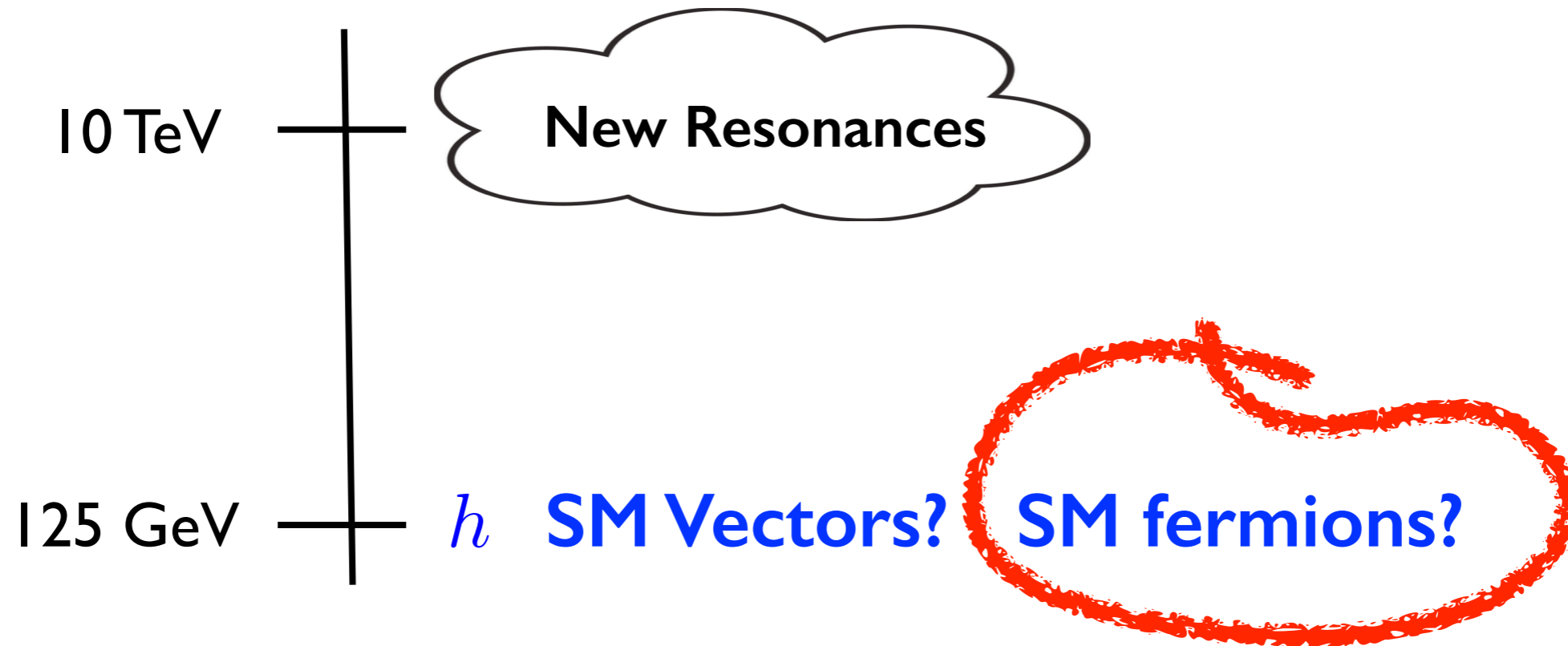
$qq \rightarrow VV$

$h \rightarrow \gamma Z$

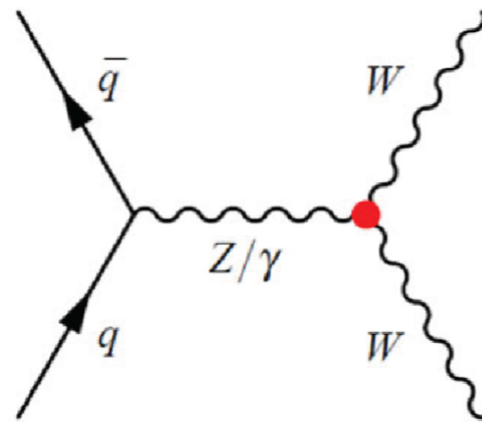
correlated:

$$\delta g_1^Z = \frac{\delta \kappa_\gamma}{\cos^2 \theta_W} = \frac{\delta g_{hZ\gamma}}{\sin \theta_W \cos \theta_W}$$

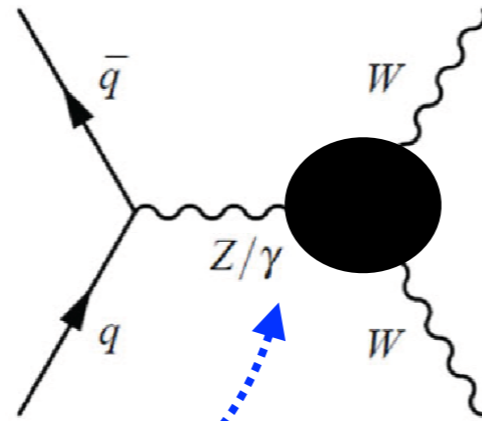
What else can we learn from di-bosons?



Implications in $qq \rightarrow V_T V_T$:

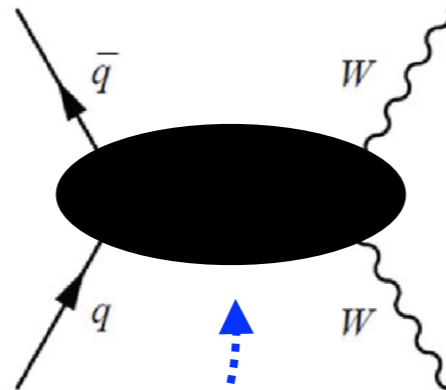


$$\mathcal{A}_{\text{SM}} \sim g^2$$



$$\frac{\delta \mathcal{A}}{\mathcal{A}_{\text{SM}}} \sim \frac{g_*}{g} \frac{E^2}{\Lambda^2}$$

$$\text{Tr}[W_{\mu\nu} W^{\nu\rho} W_{\rho}{}^{\mu}]$$



$$\frac{\delta \mathcal{A}}{\mathcal{A}_{\text{SM}}} \sim \left(\frac{g_*}{g} \frac{E^2}{\Lambda^2} \right)^2$$

$$\bar{\psi}(\gamma^\mu \overleftrightarrow{D}^\nu + \gamma^\nu \overleftrightarrow{D}^\mu)\psi' W_{\mu\rho}^a W_{\nu}{}^{a\rho}$$



work in progress!

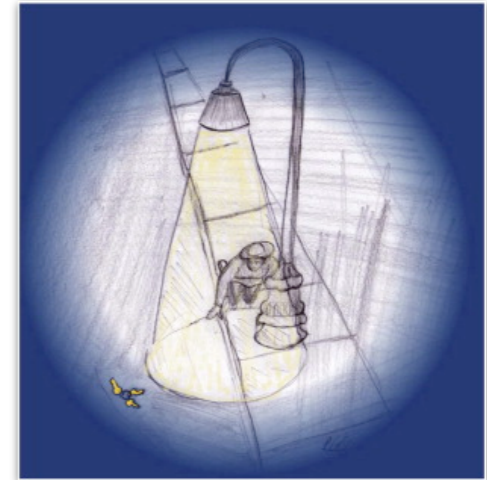
A model-independent analysis must include dim-8 operators

Conclusions

- **New Strong dynamics at the TeV is still one of the best options for TeV-BSM:**

Don't be afraid to pursue it, even without full knowledge of the theory

Nature does not care about our limitations!



- **These BSMs can also be probed (possibly, the only ones!) in di-boson production at the LHC at the high-energy regime!**

- In particular, $pp \rightarrow W_L Z_L$ the most promising
(reduced $W_T Z_T$ in central region, but **Jet veto needed**)
possibility to achieve EW**SB** SM-tests below 1%

- Other more exotic possibilities: Gauge boson composite at TeV:



Also $pp \rightarrow W_T W_T$ important
(but **dim-8 operators could be as important as dim-6**)