

# Discrimination of Dark Matter Velocity Distribution by Directional Detection

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*arXiv:1707.05523*

# Dark Matter

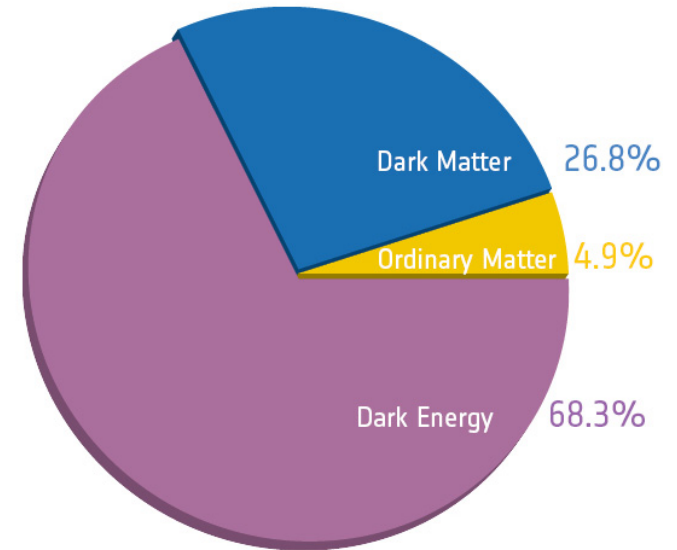
## ✦ No good candidate in SM

- electrically neutral
- stable
- non-relativistic
- weakly interacting

…Weakly interacting massive particle (WIMP)?

## ✦ Observations

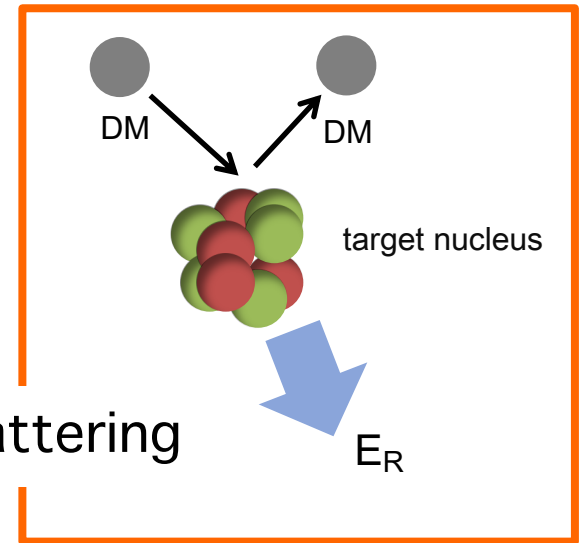
- cosmological measurements
- **direct detections**
- indirect detections
- search at colliders



# Direct Detection

## ✦ Scattering

- Detect **recoil energy** of DM-target scattering



### *Underground facilities (a partial list)*

It has been proven that underground facilities are very important for varieties of science!  
For scientific reasons, It would be very nice if there is (at least) one in the Southern hemisphere...



TAUP2017 Kajita-san's talk

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# Direct Detection



✦ Roughly speaking:

$$R \propto N_T N_\chi f(\vec{v}) \langle v \rangle \sigma$$

$R$  Event rate  
 $N_T$  # of target particles  
 $N_\chi = \frac{\rho_0}{m_\chi}$  # of WIMP  
 $f(\vec{v})$  WIMP velocity distribution  
 $\langle v \rangle$  Averaged WIMP velocity  
 $\sigma$  Cross section for DM-nucleus scattering

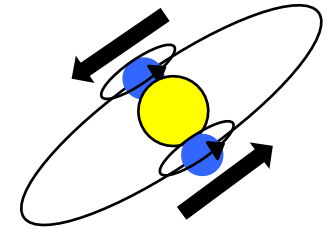
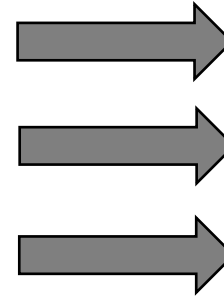
$$\rightarrow \frac{dR}{dE_R} = \frac{N_T \rho_0}{m_\chi} \int^{v_{\max}} d\vec{v} f(\vec{v}) |\vec{v}| \frac{d\sigma(\vec{v})}{dE_R}$$

# Directional detection

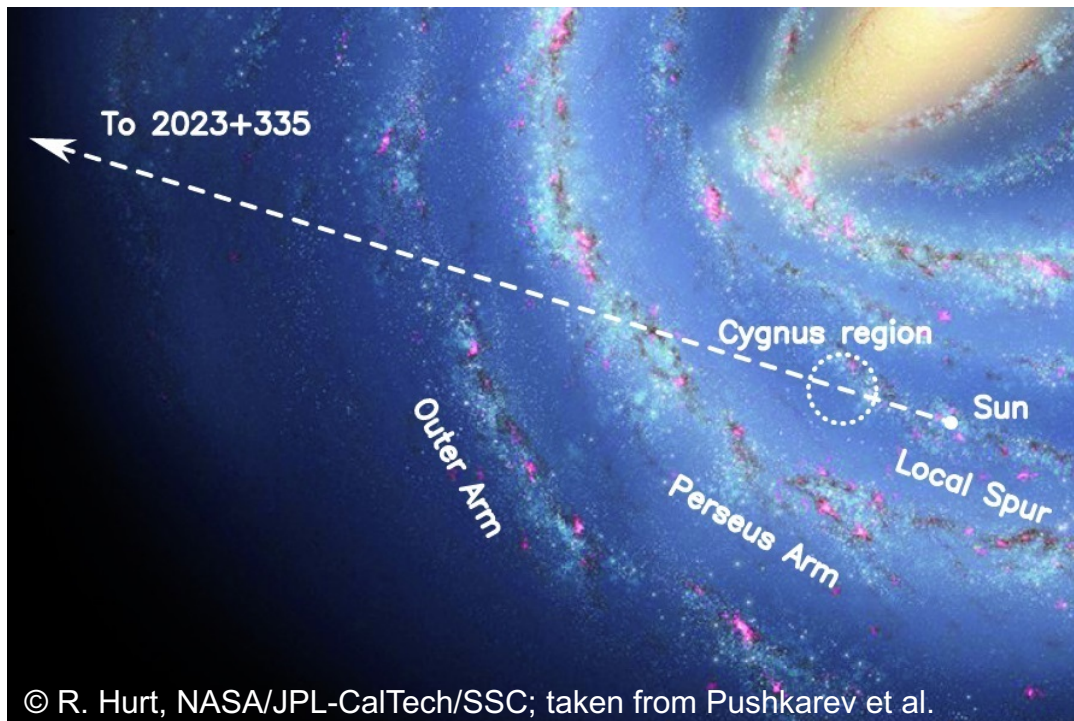
- ✦ Direction of DM
  - detect not only the recoil energy but also **direction** where DM comes from.



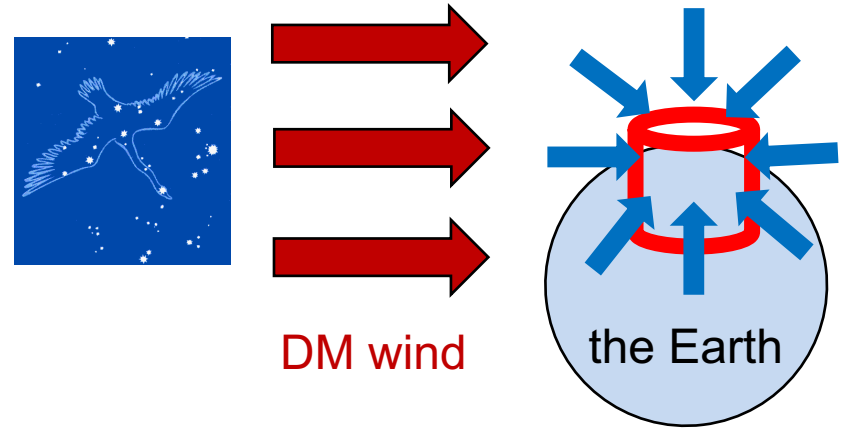
DM wind



the Solar system



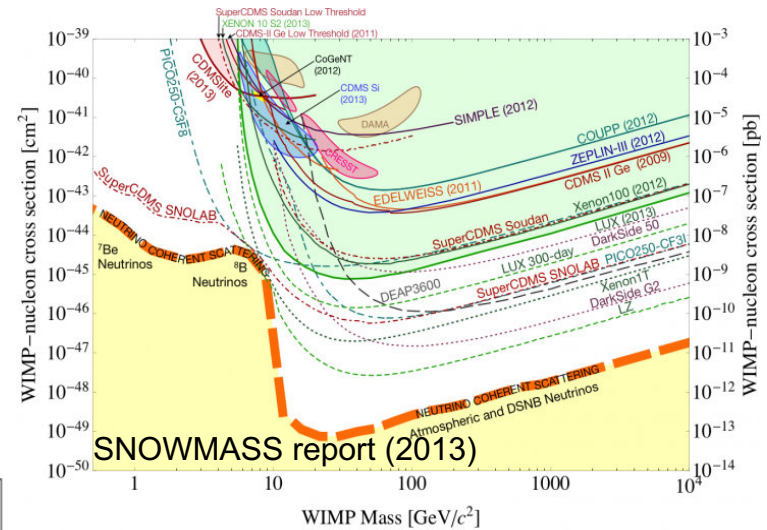
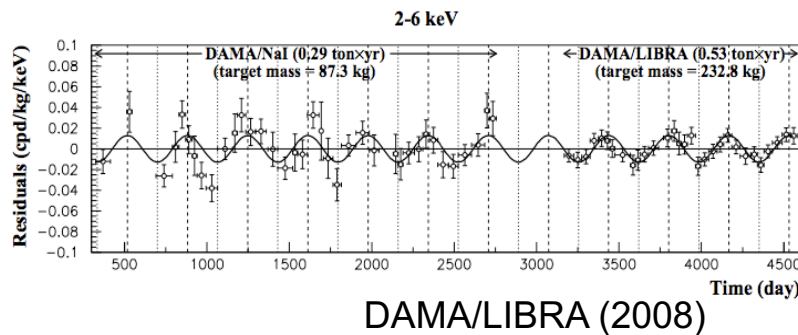
# Advantages of directionality



1. Powerful bg rejection  
 Bkg : isotropic(?)  
 DM signal : come from  
 direction of the Cygnus

2. Neutrino Floor

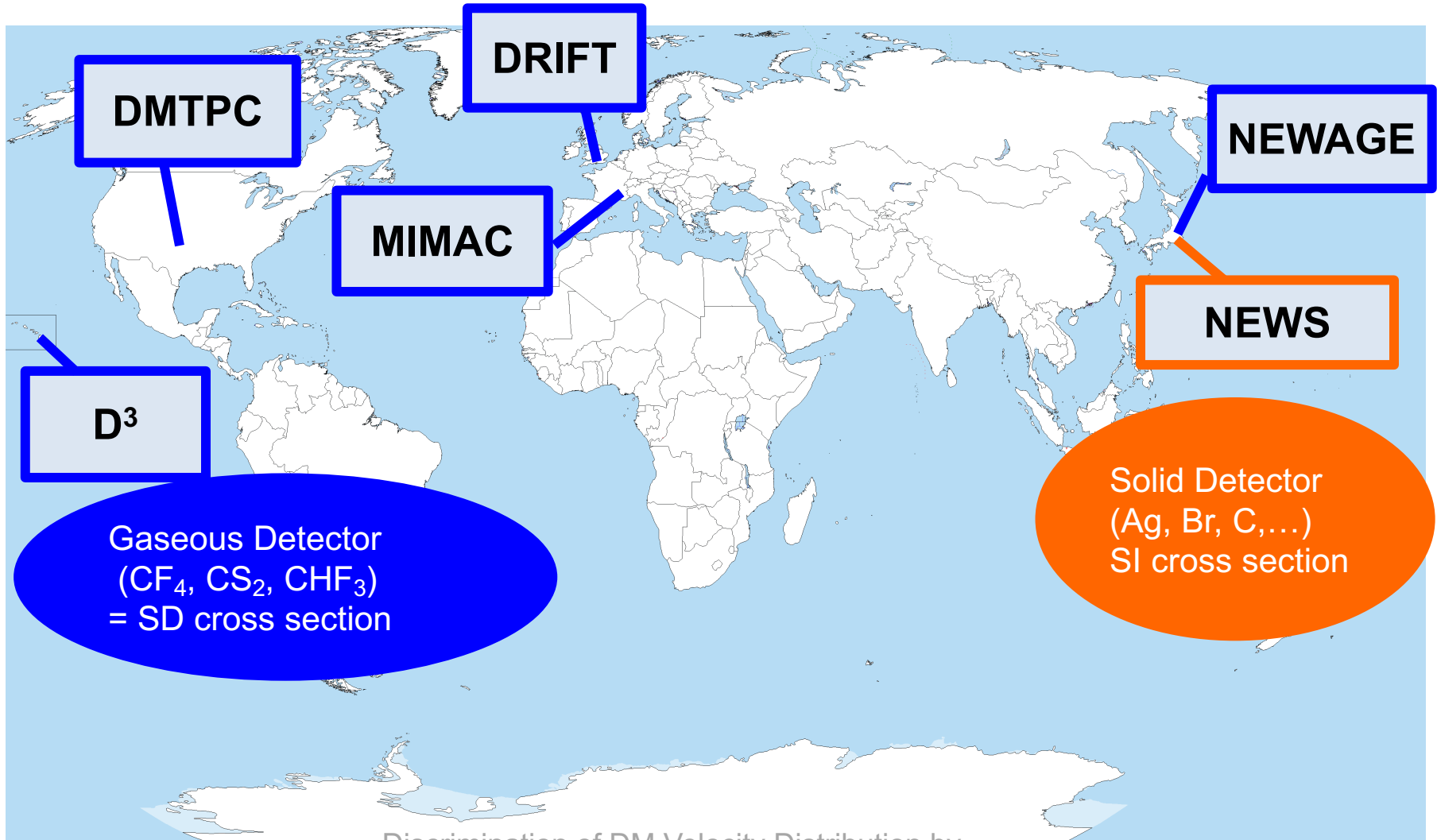
3. Annual Modulation



Discrimination of DM Velocity Distribution by Directional Detection

# Directional Searches

(not complete list)



DMTPC

DRIFT

NEWAGE

MIMAC

NEWS

D<sup>3</sup>

Gaseous Detector  
(CF<sub>4</sub>, CS<sub>2</sub>, CHF<sub>3</sub>)  
= SD cross section

Solid Detector  
(Ag, Br, C,...)  
SI cross section

Discrimination of DM Velocity Distribution by  
Directional Detection

# Typical Targets

Periodic Table of the Elements

© www.elementsdatabase.com

- hydrogen
- alkali metals
- alkali earth metals
- transition metals
- poor metals
- nonmetals
- noble gases
- rare earth metals

1 H																	2 He
3 Li	4 Be											5 B	6 C	7 N	8 O	9 F	10 Ne
11 Na	12 Mg											13 Al	14 Si	15 P	16 S	17 Cl	18 Ar
19 K	20 Ca	21 Sc	22 Ti	23 V	24 Cr	25 Mn	26 Fe	27 Co	28 Ni	29 Cu	30 Zn	31 Ga	32 Ge	33 As	34 Se	35 Br	36 Kr
37 Rb	38 Sr	39 Y	40 Zr	41 Nb	42 Mo	43 Tc	44 Ru	45 Rh	46 Pd	47 Ag	48 Cd	49 In	50 Sn	51 Sb	52 Te	53 I	54 Xe
55 Cs	56 Ba	57 La	72 Hf	73 Ta	74 W	75 Re	76 Os	77 Ir	78 Pt	79 Au	80 Hg	81 Tl	82 Pb	83 Bi	84 Po	85 At	86 Rn
87 Fr	88 Ra	89 Ac	104 Unq	105 Unp	106 Unh	107 Uns	108 Uno	109 Une	110 Unn								

58 Ce	59 Pr	60 Nd	61 Pm	62 Sm	63 Eu	64 Gd	65 Tb	66 Dy	67 Ho	68 Er	69 Tm	70 Yb	71 Lu
90 Th	91 Pa	92 U	93 Np	94 Pu	95 Am	96 Cm	97 Bk	98 Cf	99 Es	100 Fm	101 Md	102 No	103 Lr

Discrimination of DM Velocity Distribution by Directional Detection





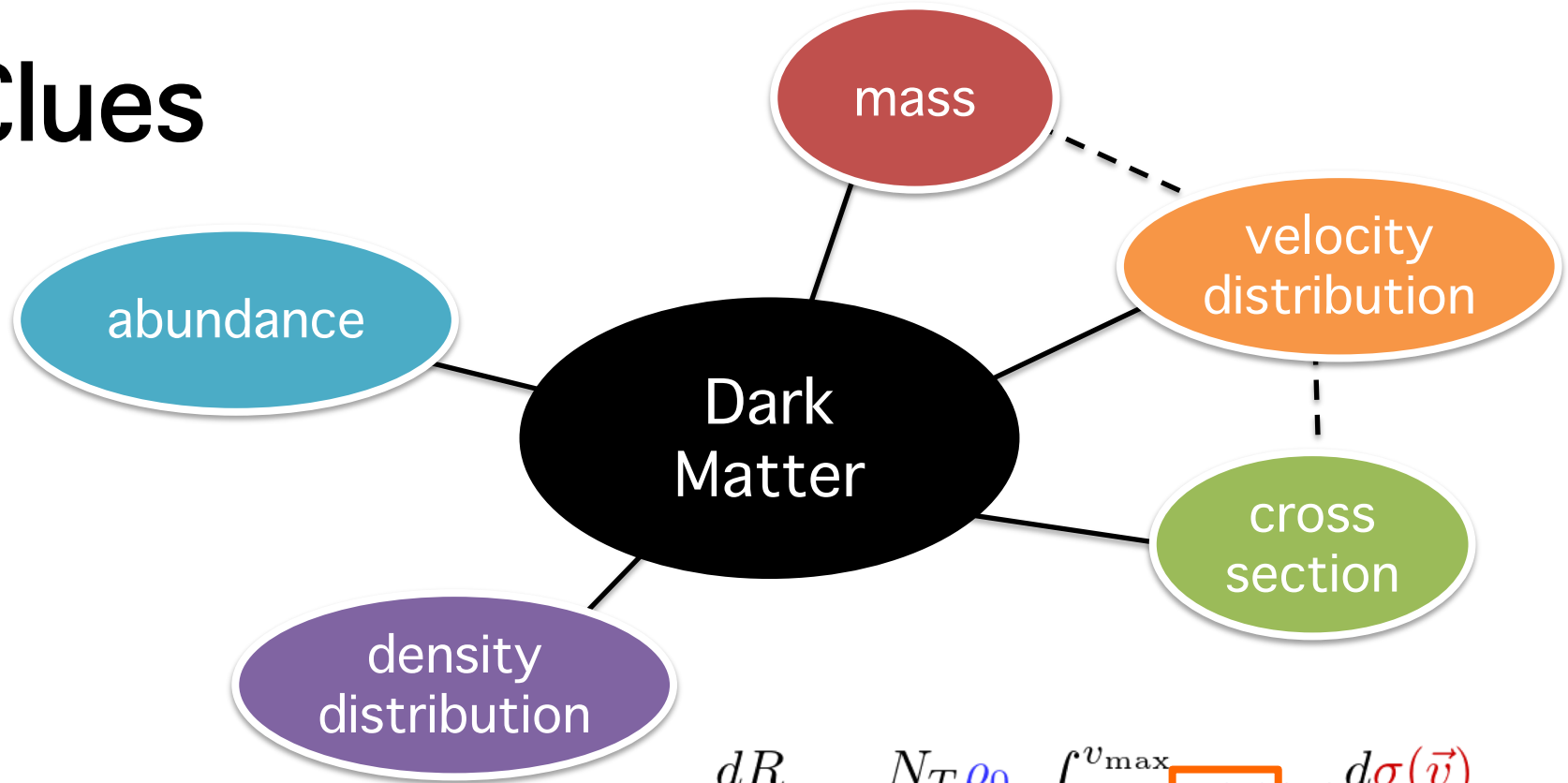
# Outline

1. Introduction
2. Velocity Distribution of Dark Matter
3. Velocity Distribution Observed in the Directional Detector
4. Conclusion



# Velocity Distribution of Dark Matter

# Clues



$$\frac{dR}{dE_R} = \frac{N_T \rho_0}{m_\chi} \int^{v_{\max}} d\vec{v} \boxed{f(\vec{v})} |\vec{v}| \frac{d\sigma(\vec{v})}{dE_R}$$

- ✦ In the directional DM search, it can be possible to make a constraint for the velocity distribution.
- ✦ Correct distribution is required to derive appropriate constraints for the interaction

# Distribution for Direct Detection

✦ Usually we suppose:

□ Maxwell distribution

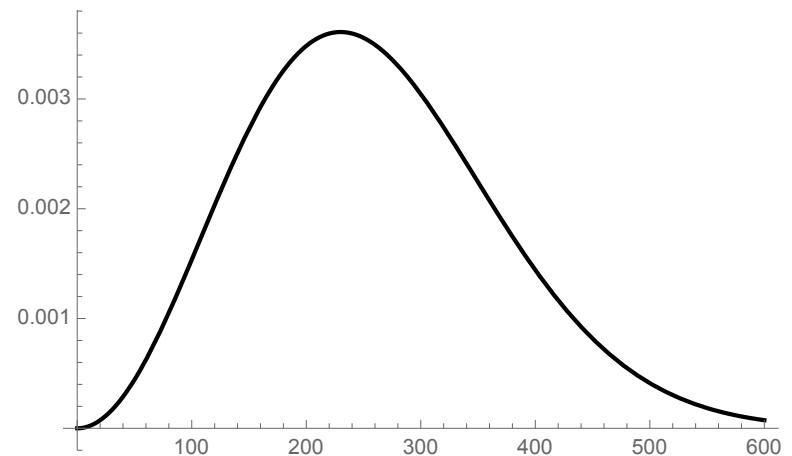
$$f(v) = \frac{1}{(\pi v_0^2)^{3/2}} e^{-(v+v_E)^2/v_0^2}$$

□ Isothermal

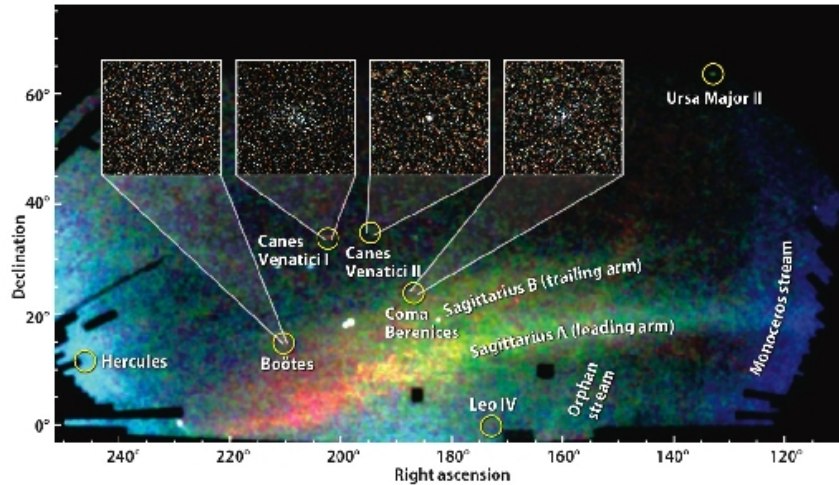
□ Isotropic

✦ But it may not be true.

$v_0$ : velocity of the Solar system  
 $v_E$ : Earth's velocity relative to DM

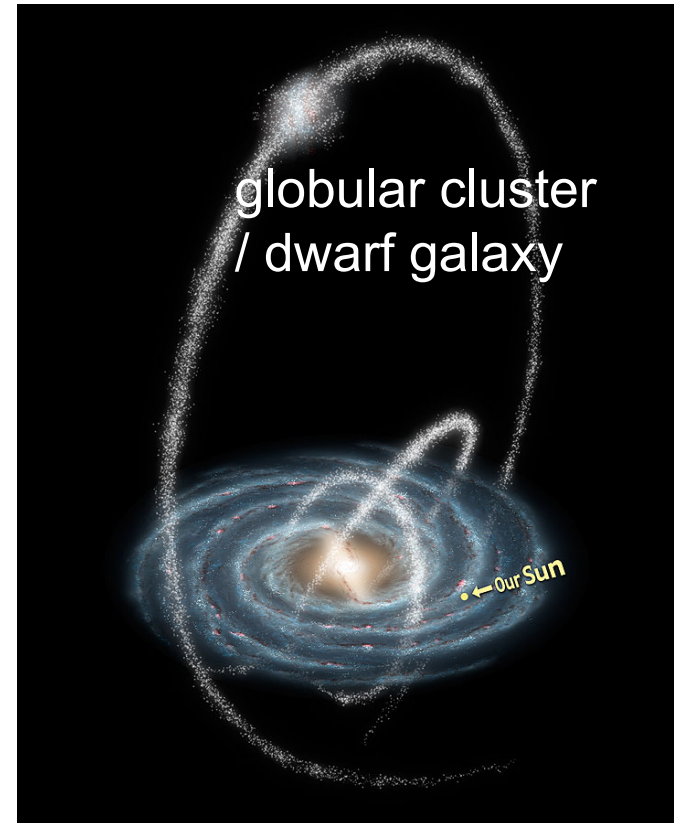


# Stellar streams



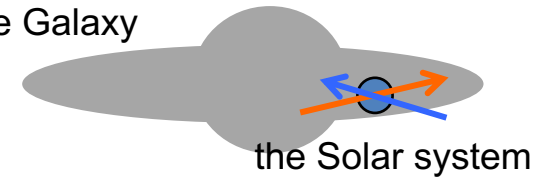
Sloan Digital Sky Survey II data (2006)

A stellar stream is torn apart and stretched out along its orbit by tidal forces, and flow into a galaxy.



# Co-rotating DM

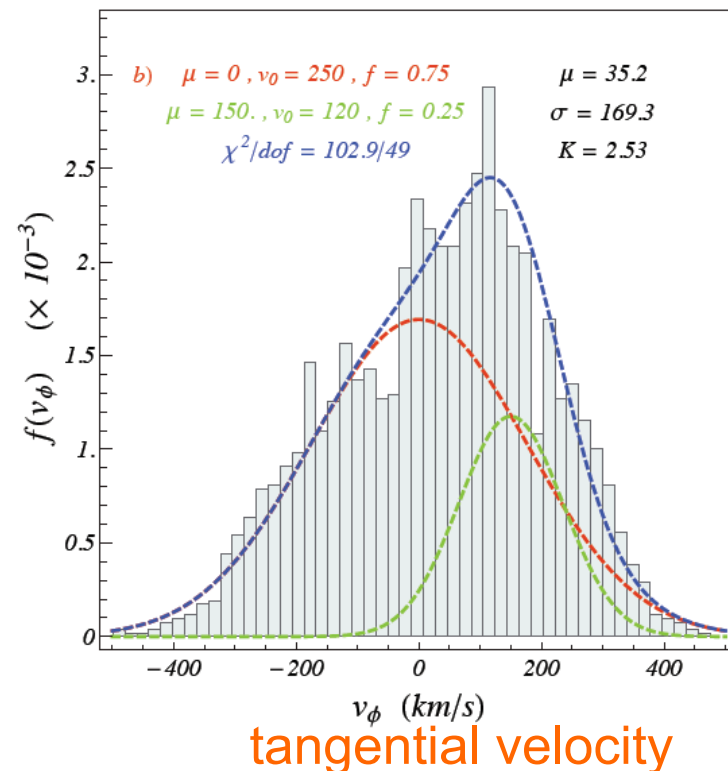
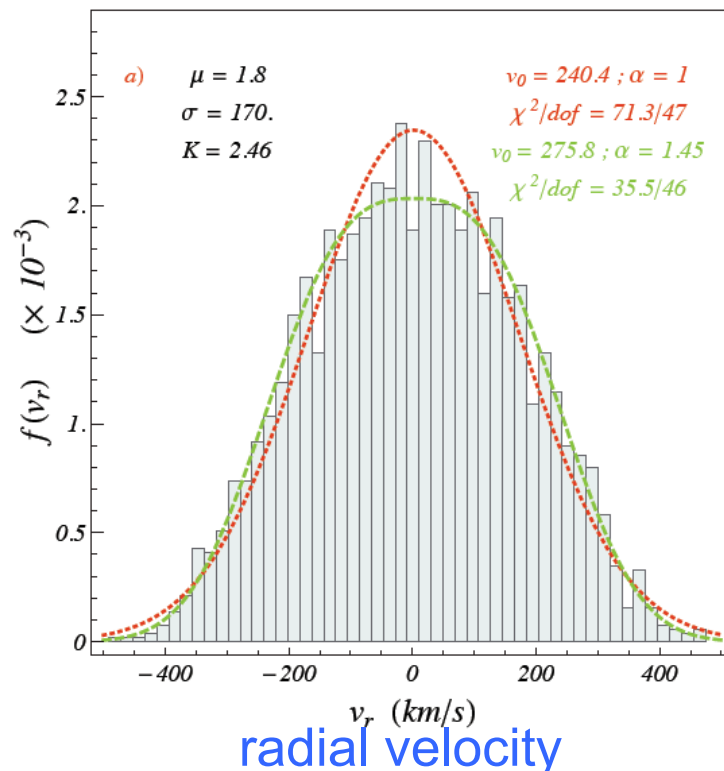
the Galaxy



the Solar system

- ★ N-body simulation including baryons and gas
  - DM co-rotates with baryons in the galaxy

Ling, Nezri, Athanassoula & Teyssier (2009)  
cf. Kuhlen et al. (2012), David R. Law (2009) ...



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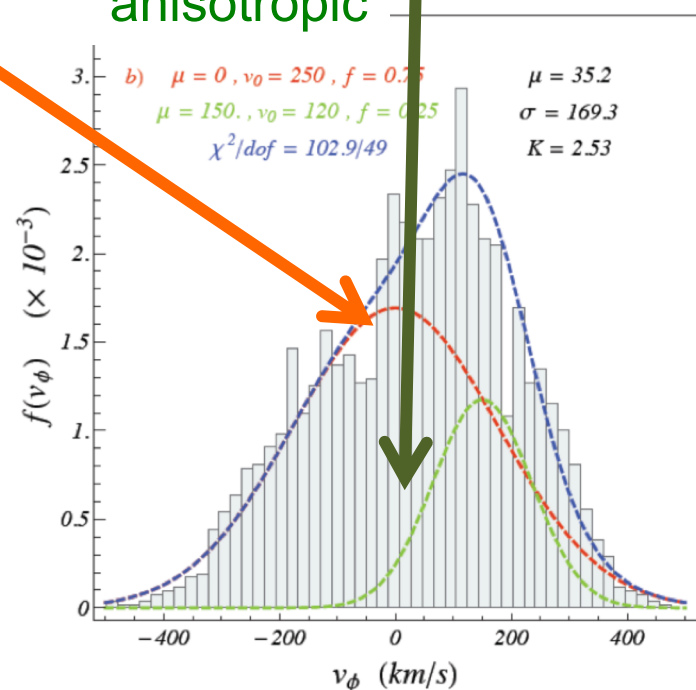
# Anisotropy parameter “r”

$$f(v_\phi) = \frac{1-r}{N(v_{0,\text{iso.}})} \exp\left[-v^2/v_{0,\text{iso.}}^2\right] + \frac{r}{N(v_{0,\text{ani.}})} \exp\left[-(v-\mu)^2/v_{0,\text{ani.}}^2\right]$$

isotropic

anisotropic

- ✦ Tangential velocity
  - Anisotropy parameter  $0 < r < 1$
  - $r=0.25$  is suggested by N-body simulation
- Goal: isotropic case ( $r=0$ ) --- anisotropic case ( $r=0.2-0.3$ )





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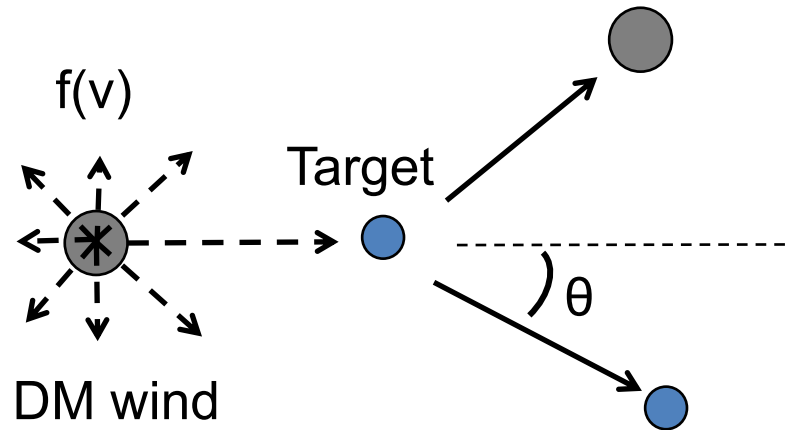




# Velocity Distribution observed in Directional Detector

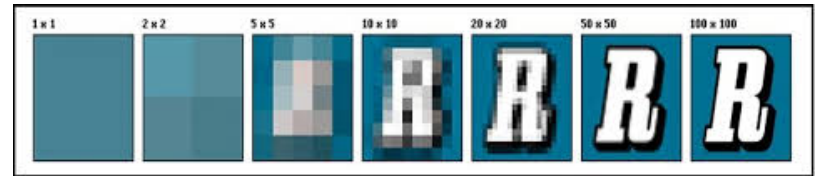
cf. [astro-ph/0408047](#), [arXiv:0704.2909](#),  
[arXiv:0911.4086](#) [arXiv:1012.3960](#) [arXiv:1202.5035](#)

# Set up of simulation

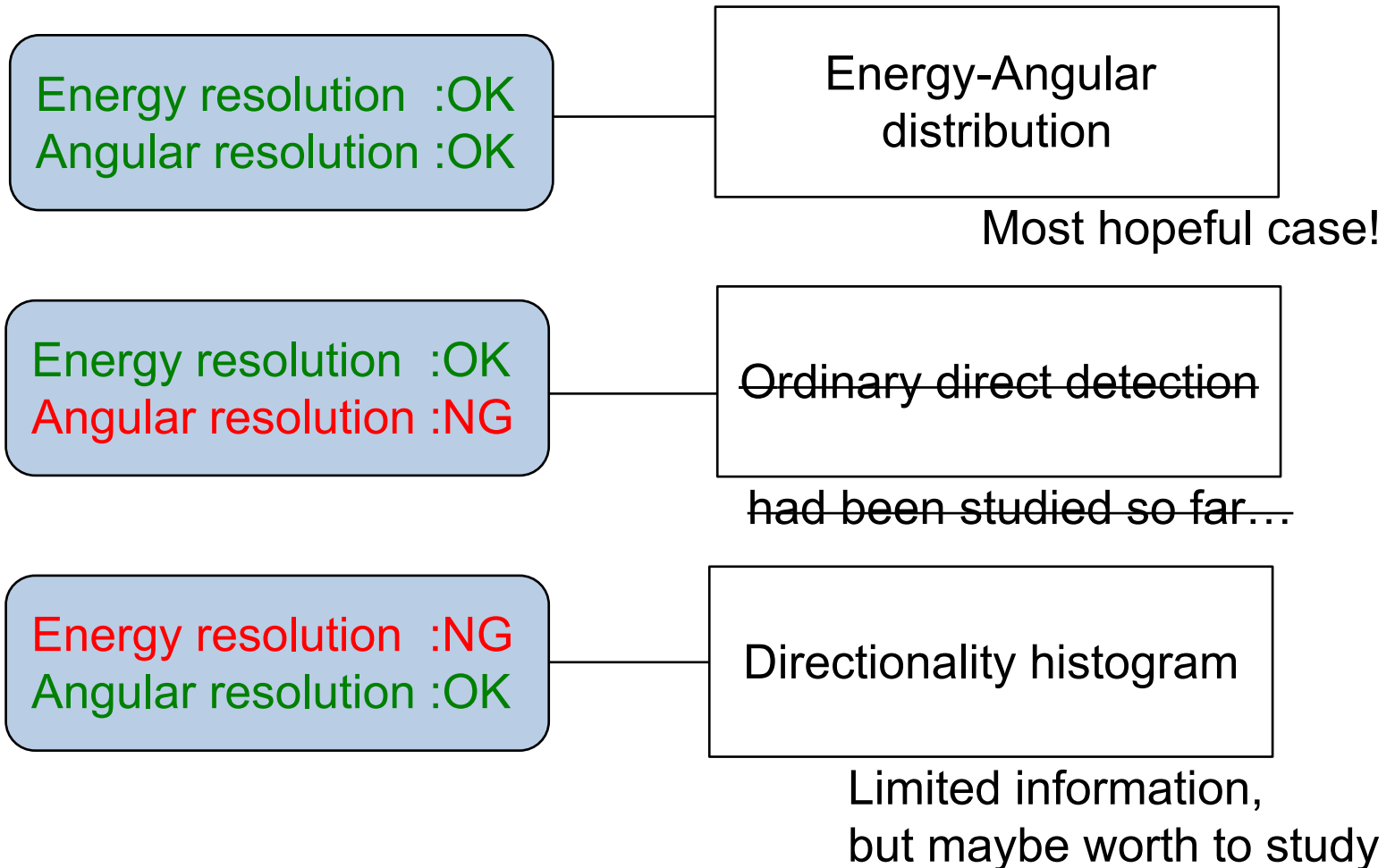


- ✦ Monte Carlo simulation of scattering supposing  $f(v)$ 
  - Direction (scattering angle)
  - Recoil energy
- ✦ Elastic scattering

# Analysis



... depends on resolution of detectors.



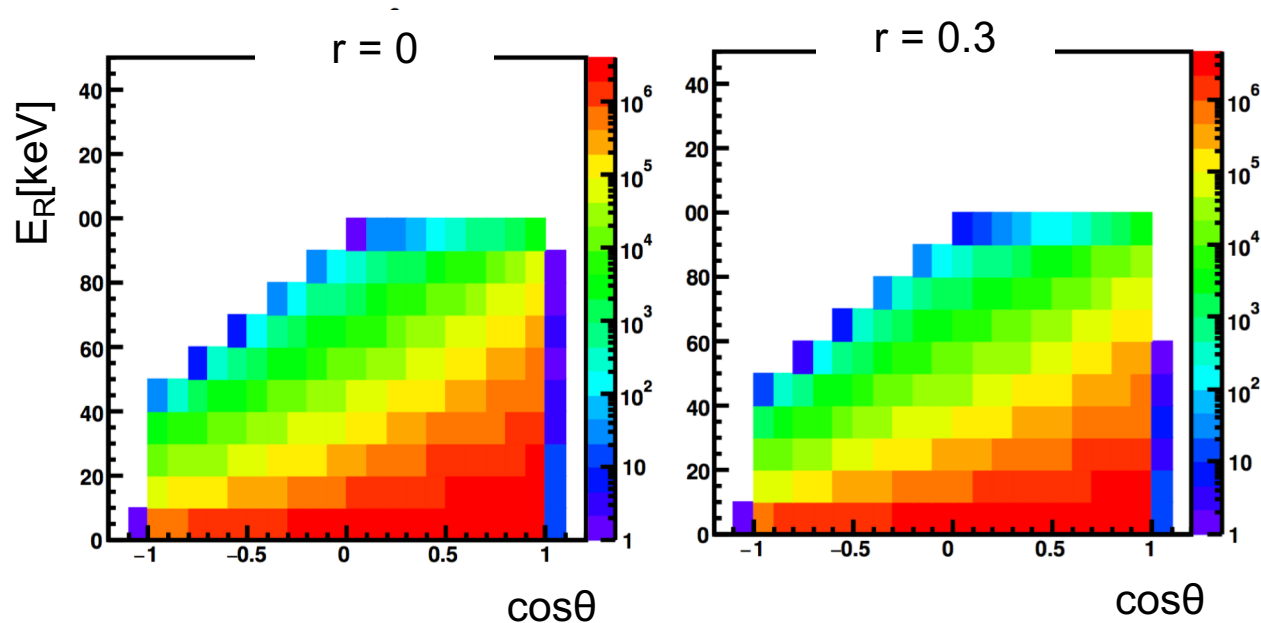
Energy resolution :OK  
Angular resolution :OK

Most hopeful case!

# Energy-angular distribution

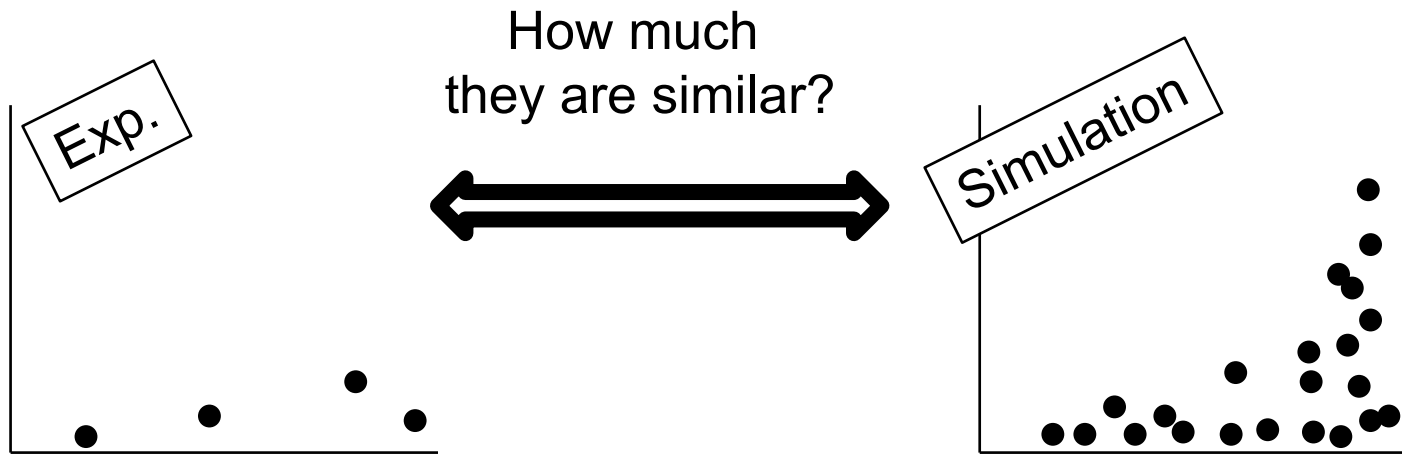
$M_{\text{DM}}=60\text{GeV}$

$E_{\text{thr}} = 0\text{keV}$  (light target:F)

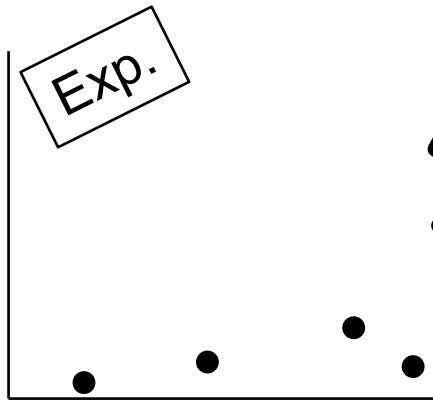


- ❑ Isotropic one does not differ from anisotropic one so much.
- ❑ Method to compare similar distributions is required.

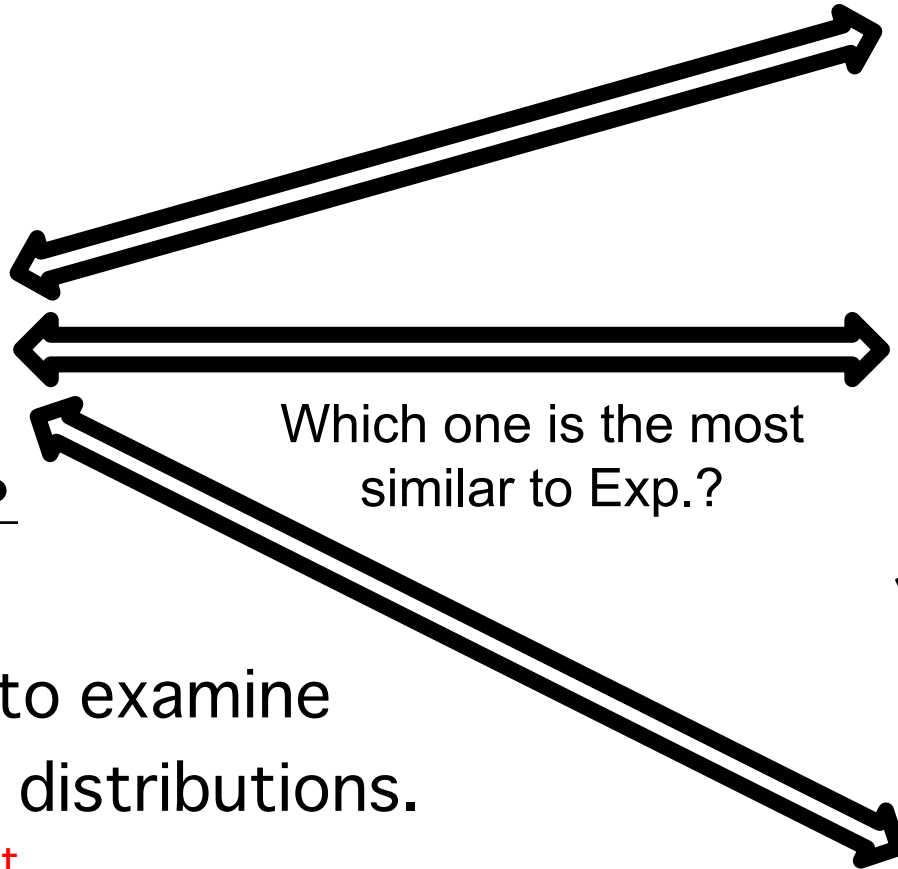
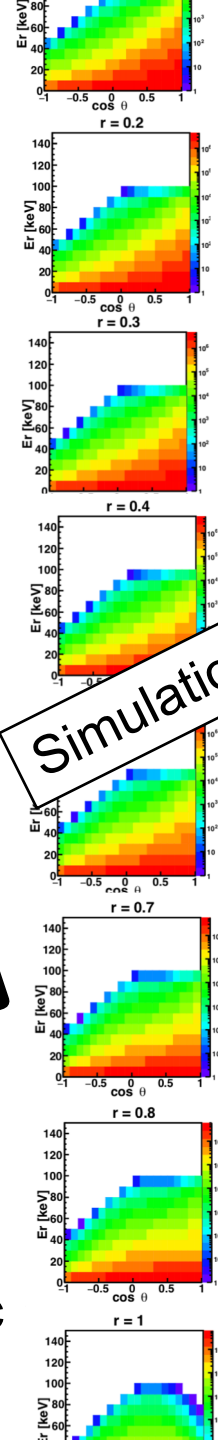
# Strategy



# Strategy



Isotropic



Which one is the most similar to Exp.?

Simulation

Anisotropic

◆ Statistical test to examine the similarity of distributions.

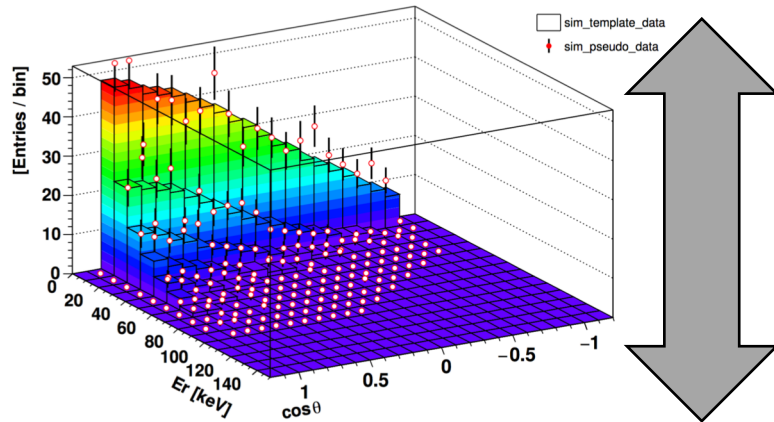
- ▣ Chi-squared test
- ▣ Kolmogorov–Smirnov test
- ▣ ...

# Chi squared test

Many Data  
(#10<sup>8</sup>)

- ✓ ideal
- ✓ difficult to achieve

ideal “**template**”



Fewer Data  
(#10<sup>4</sup>)

- ✓ realistic  
(relatively...)

“**pseudo-experimental**” data

chi squared test

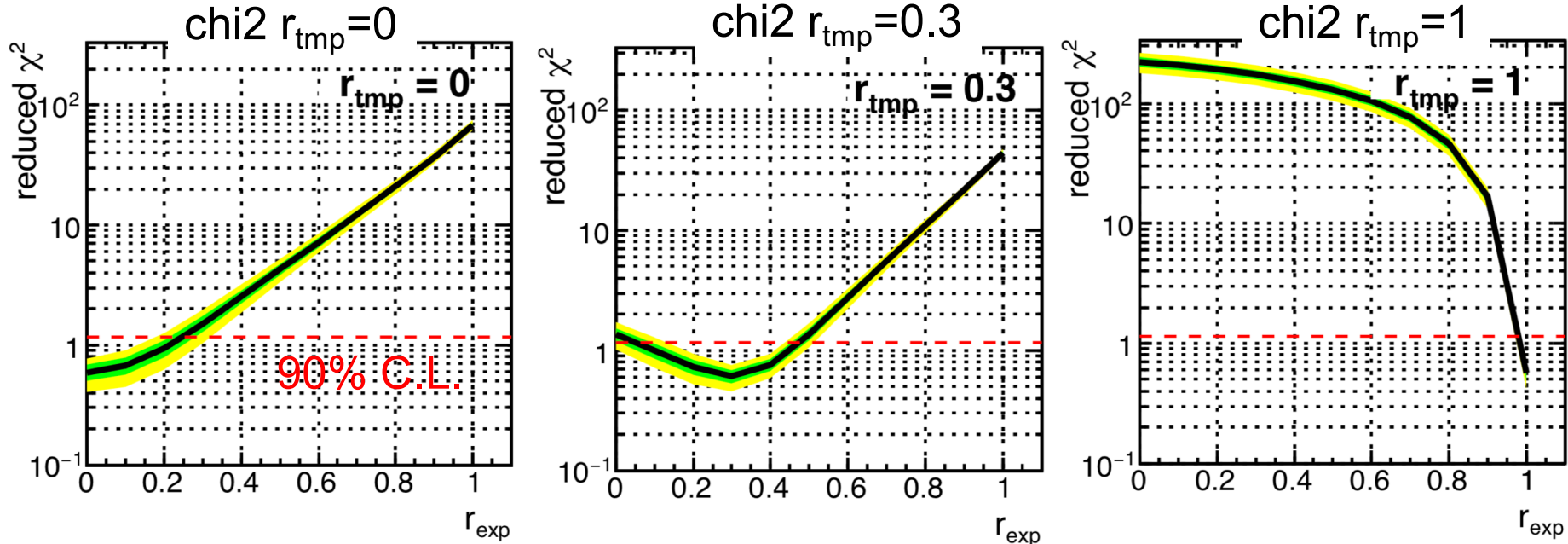
$$\chi^2 = \sum \frac{(\text{observed} - \text{expected})^2}{\text{expected}}$$



# Chi squared test of $E_R$ -cos $\theta$

(light target:F,  $M_{DM}=60\text{GeV}$ )

#exp.= $6 \cdot 10^3$   
E<sub>thr</sub>=20keV (F)

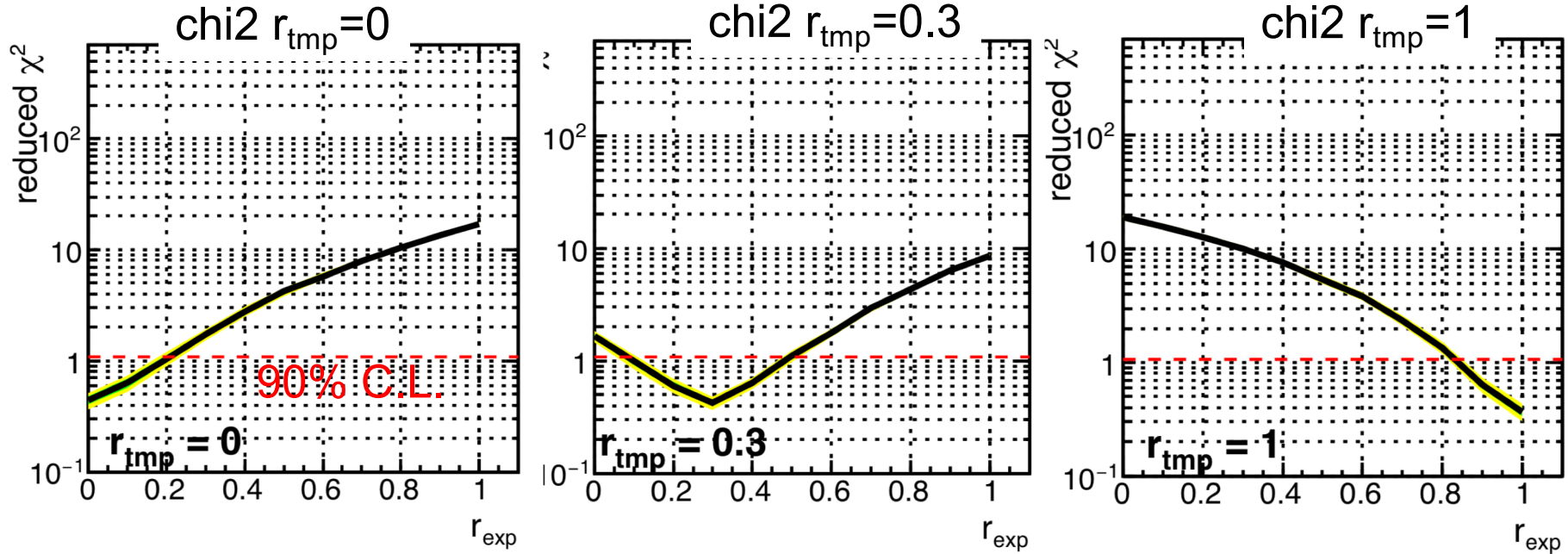


- ✓ If  $r=0.3$ , isotropic case ( $r=0$ ) can be excluded at 90% C.L.
- ✓ Energy threshold is a factor to clearly characterize the difference between  $r=0$  and 0.3.

# Chi squared test of $E_R$ -cos $\theta$

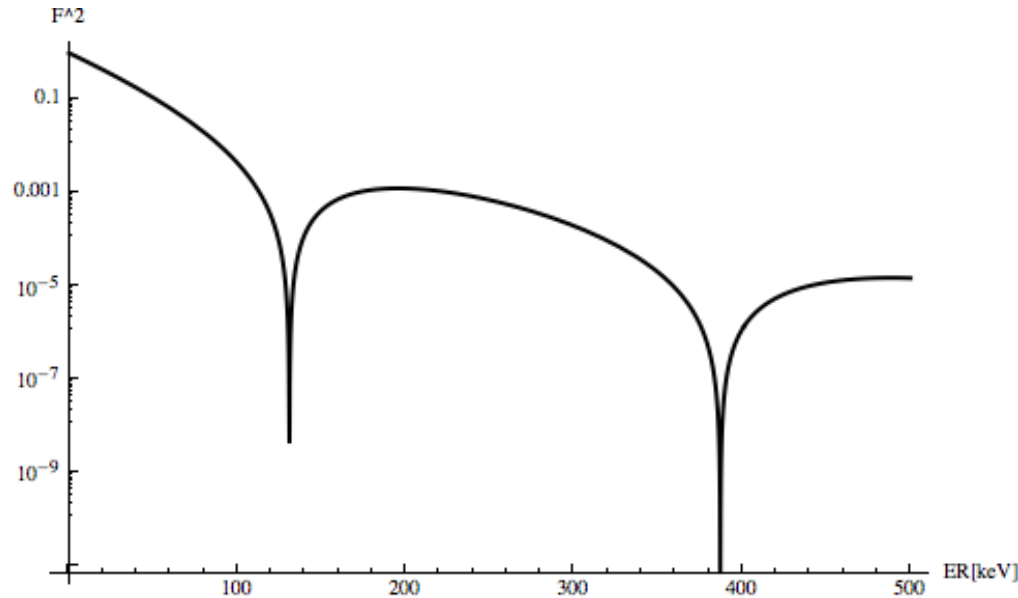
(heavy target:Ag,  $M_{DM}=300\text{GeV}$ )

#exp.= $6 \times 10^4$   
Ethr=50keV (Ag)



- ✓ Isotropic case can be rejected in heavy target case, but required event # is  $6 \times 10^4$  (in light target case:  $6 \times 10^3$ ).

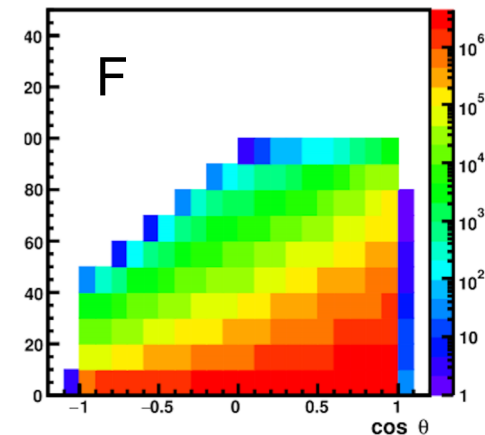
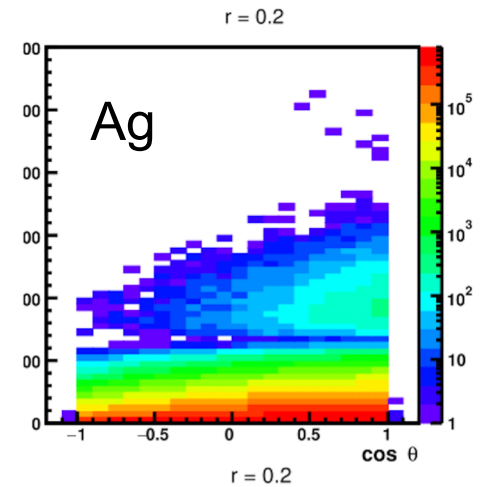
# Form factor



$$F(qr_n) = 3 \frac{j_1(qr_n)}{qr_n} e^{-(qs)^2/2}$$

$$r_n^2 \simeq (1.23A^{1/3} - 0.60)^2 + \frac{7}{3}\pi^2(0.52)^2 - 5 \cdot 0.9^2 [\text{fm}^2]$$

- ✓ Due to form factor effect, more signal number is required in heavy target case than light target case.



Energy resolution :NG  
Angular resolution :OK

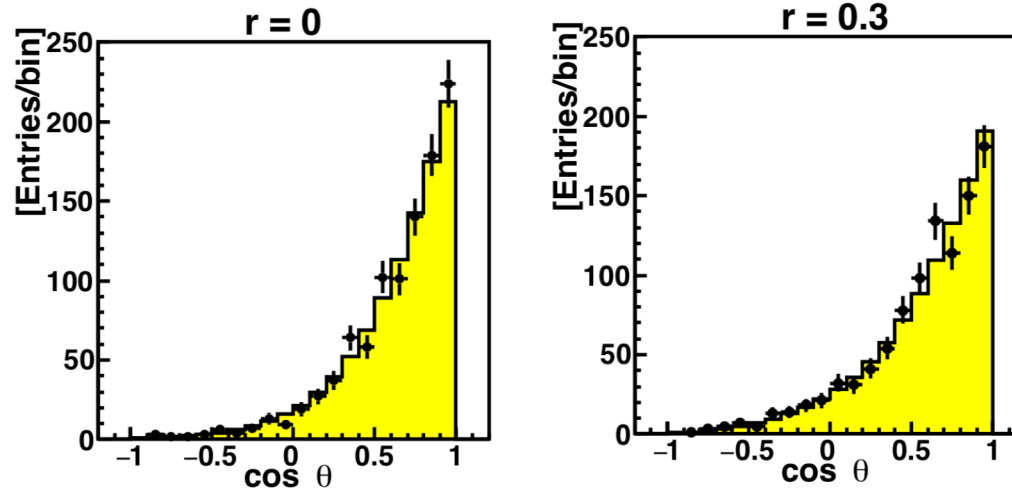
Limited information,  
but maybe worth to study

# Directionality Histogram

(light target)

$M_{DM}=60\text{GeV}$

$E_{thr}=20\text{keV}$  (Light target F)

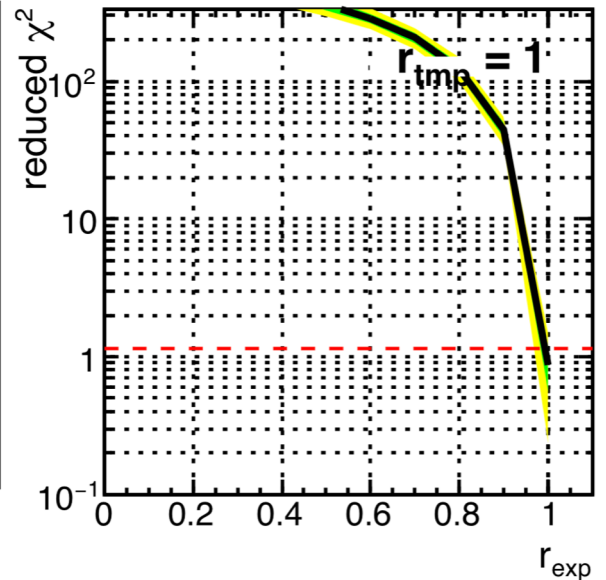
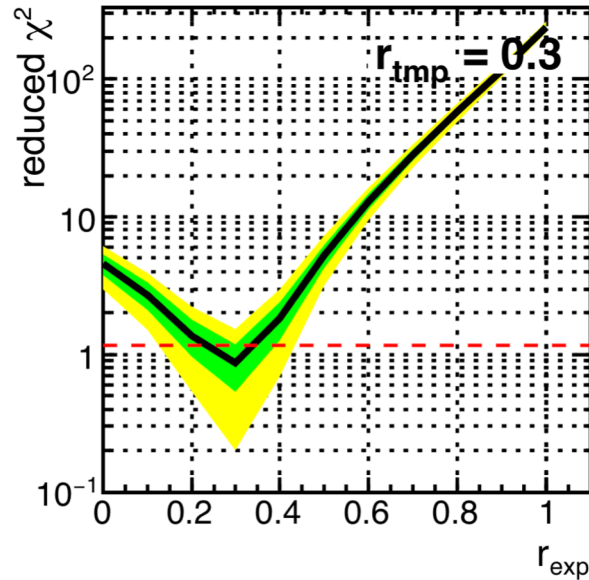
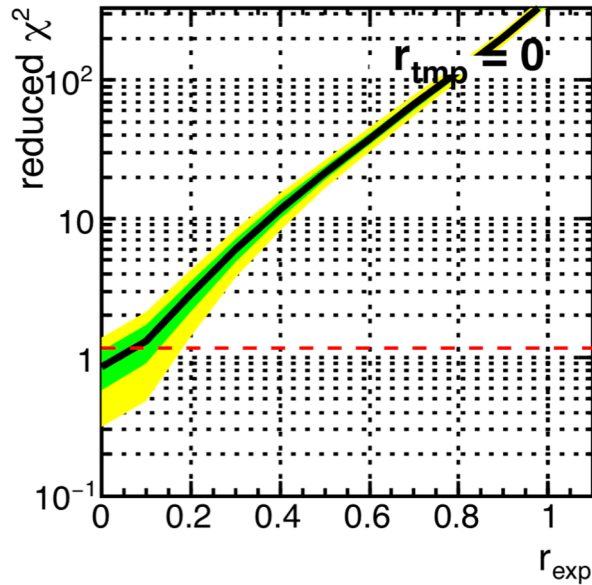


- ✓ Shape for  $r=0.3$  is quite similar to that for  $r=0$ . It is same for heavy target case.
- ✓ We need statistical test again.

# Chi-squared test of directionality

- ✦ Chi squared test  
(light target:F,  $M_{\text{DM}}=60\text{GeV}$ )

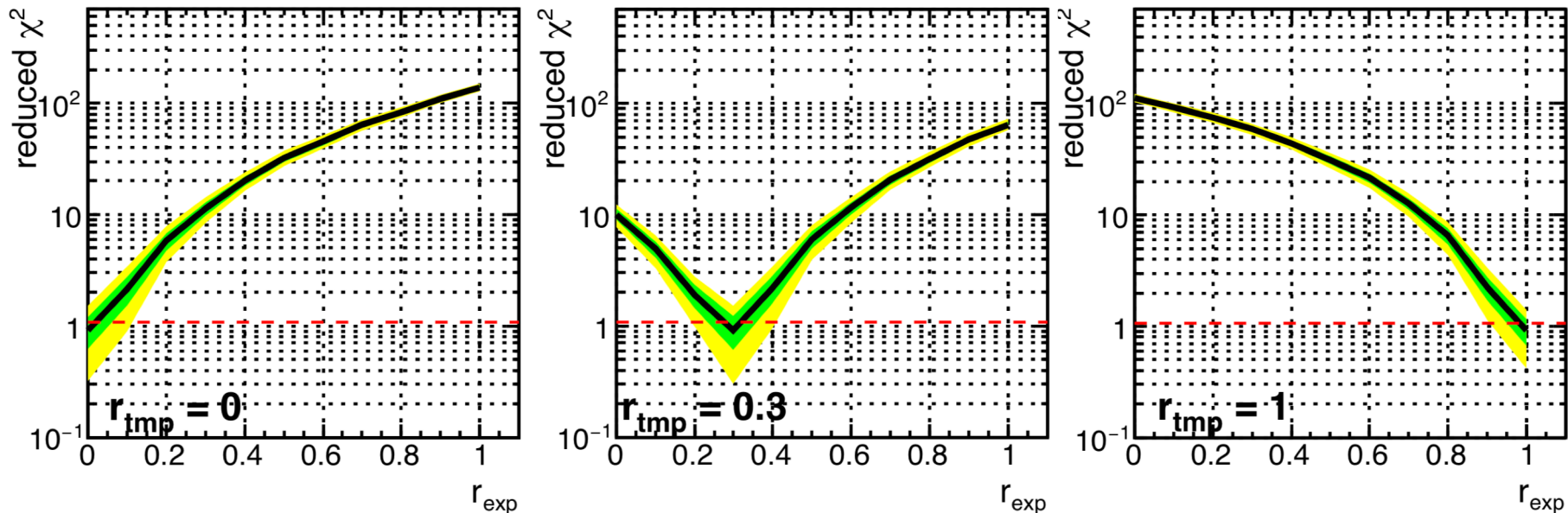
#exp.= $5 \cdot 10^3$   
Ethr=20keV



# Chi-squared test of directionality

- ✦ Chi squared test  
(heavy target:Ag,  $M_{DM}=300\text{GeV}$ )

#exp.= $6 \cdot 10^4$   
E<sub>thr</sub>=50keV



# [ER+ $\theta$ ] is worse than only [ $\theta$ ]?

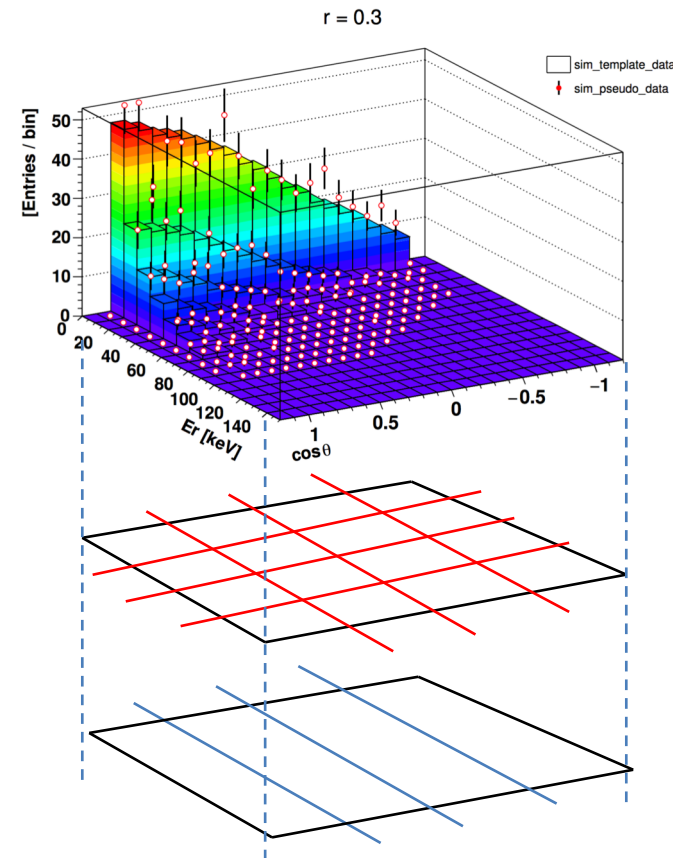
✦ To discriminate the anisotropy, required event # are...

-  $6 \times 10^3 / 6 \times 10^4$   
(Energy-angular distribution)

-  $5 \times 10^3 / 2 \times 10^4$   
(Directional histogram)

Event number for one bin is missed in test of energy-angular distribution.

✦ Test efficiency also depends on ER, so the comparison is not so simple.





# Conclusion

- ✦ Possibility to discriminate the anisotropy in the velocity distribution of DM is discussed.
- ✦ With “template data”, the chi squared test is helpful to figure out anisotropy if  $O(10^4)$  data is obtained.
- ✦  $E_R$ - $\cos \theta$  distribution  
/ directionality histogram

Thank you for your attention.