



FROM RESEARCH TO INDUSTRY

Quantum Computing

May 5th 2022, Madrid

Philippe Chomaz

Scientific and Program Director of CEA Basic Research

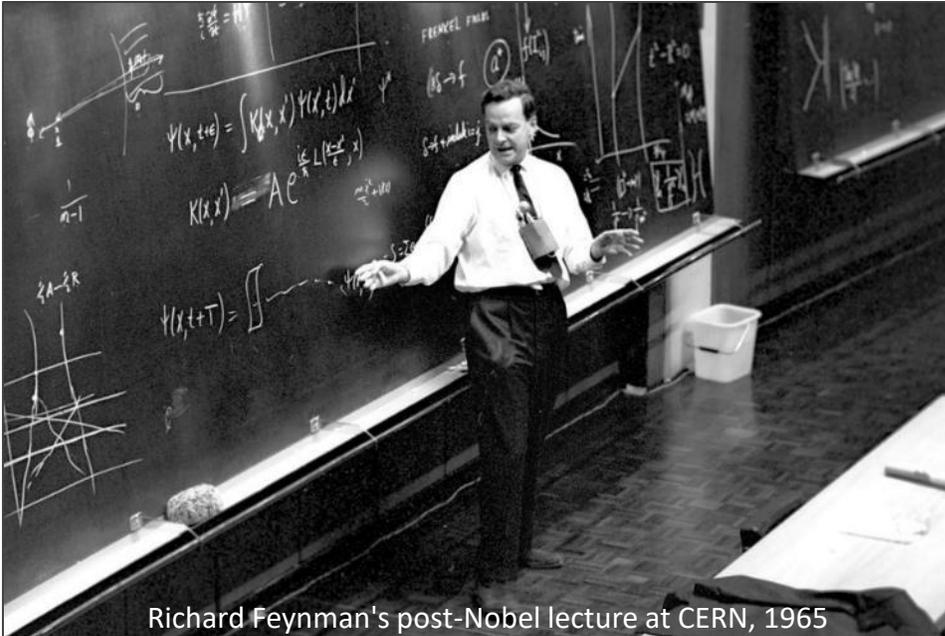
With the help of Florent Staley

Simulating Physics with Computers

Richard P. Feynman

Department of Physics, California Institute of Technology, Pasadena, California 91107

Received May 7, 1981



Richard Feynman's post-Nobel lecture at CERN, 1965

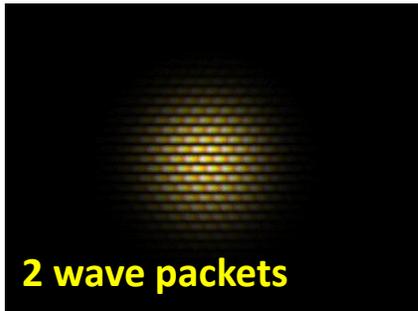
***"Nature isn't classical, dammit !
if you want to make a simulation of Nature,
you'd better make it quantum mechanical"***

Richard Feynman at the conference on "*simulating physics with computer*" on May 1981

Quantum Computing is the use of quantum-mechanical phenomena such as superposition and entanglement to perform computation of a new kind.

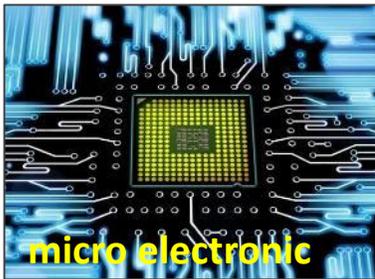
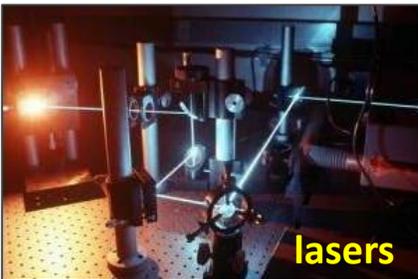
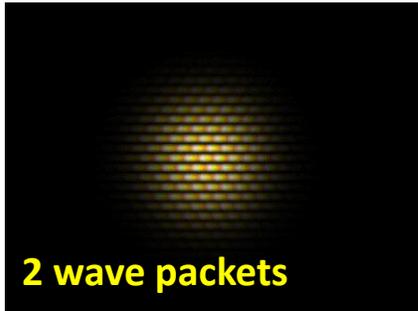
1

Quantum 1.0 and the Digital Revolution



“Invention” of quantum mechanics:

Matter, light and interactions composed of particles governed by a wave mechanics.

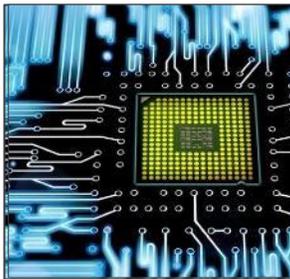
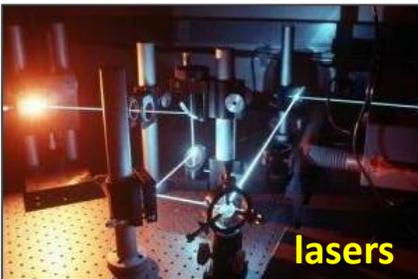
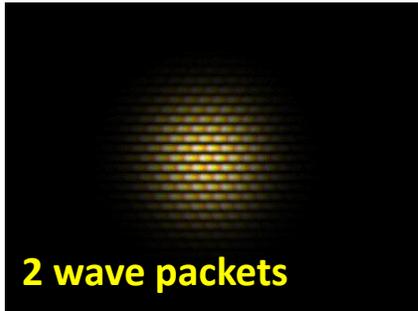


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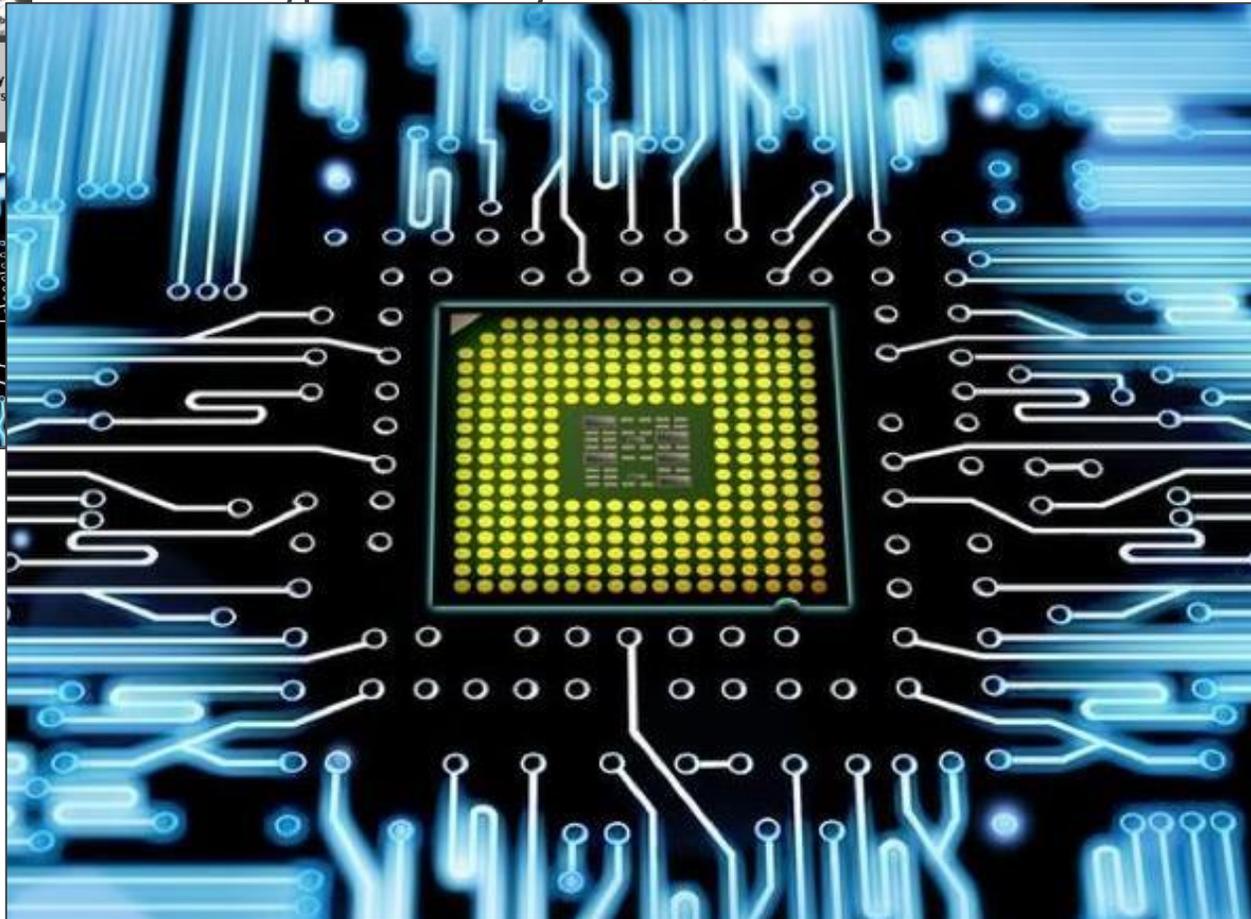
Quantum 1.0 and the digital revolution:

Macroscopic quantum systems of bosons or fermions with quantized energies have revolutionized information technology: computing, sensing, communication.



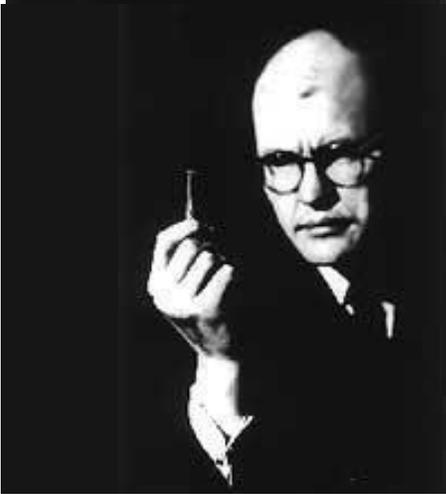
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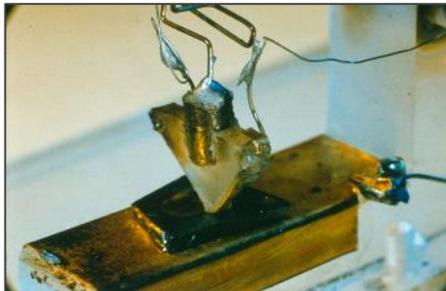


Fermions with
information technology:

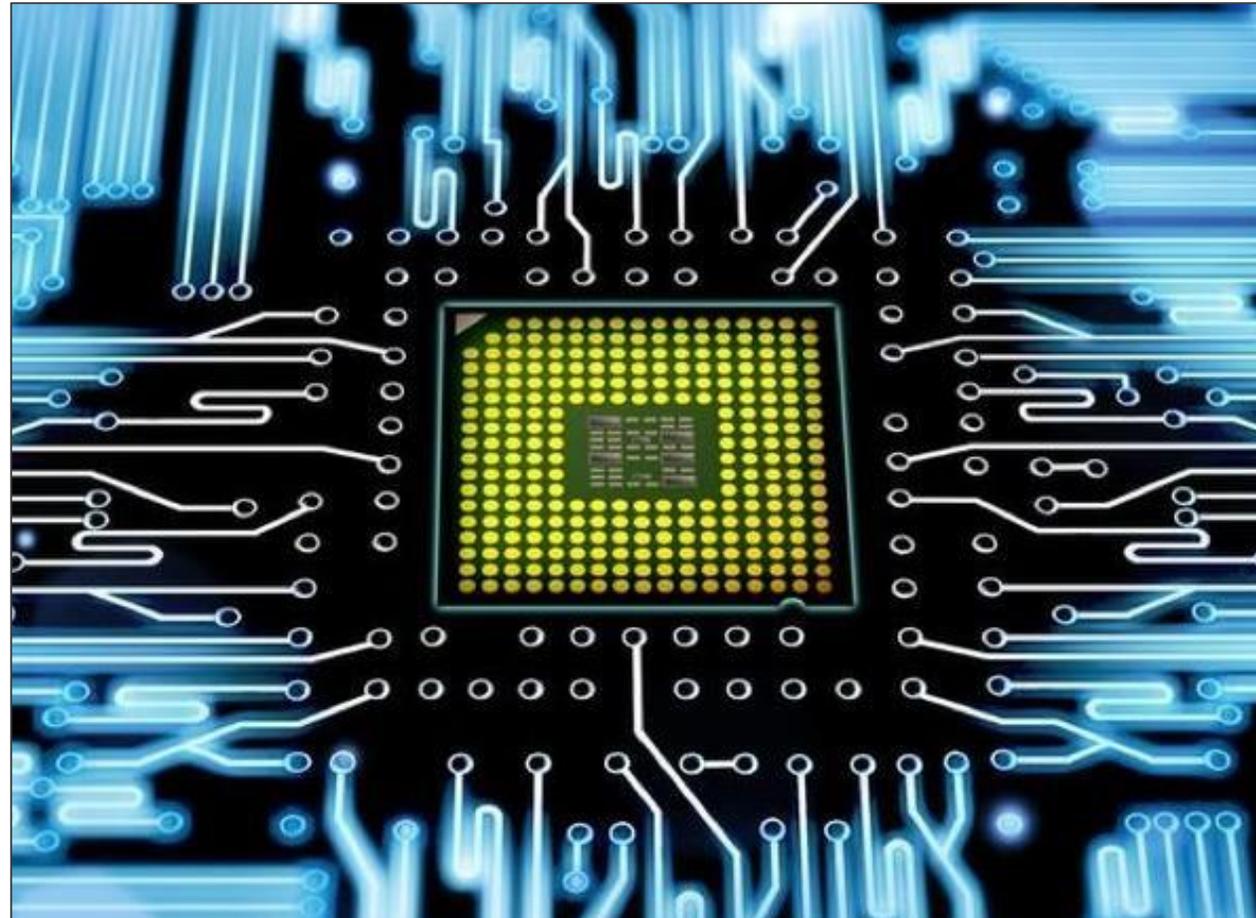
- ▶ Electronic et photonic
- ▶ the revolution in information and communication technologies



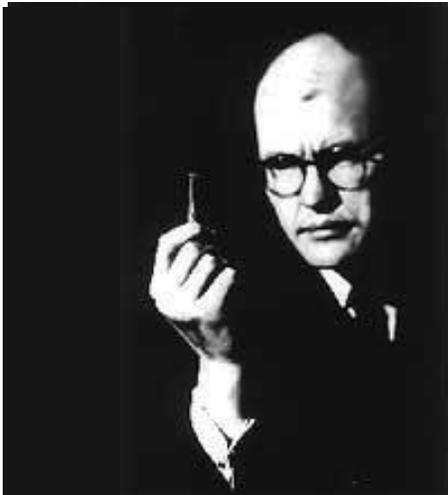
1959 Jack S. Kilby handling the first integrated circuit



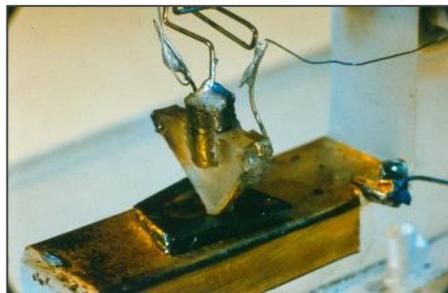
1947 First Transistor at Bell Laboratories



Classical computers



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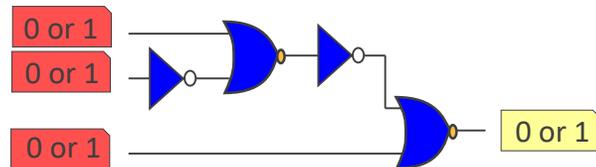


1947 First Transistor at Bell Laboratories

Elementary information:

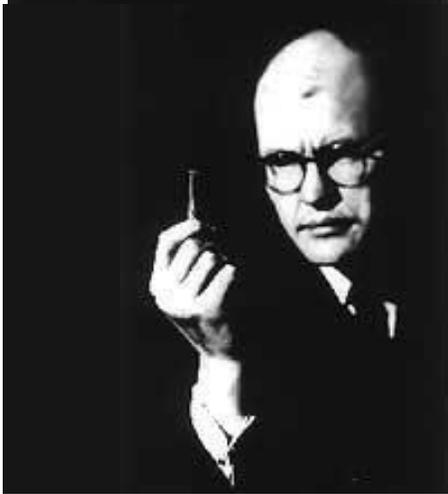
Bit: 0 or 1

Processed with logic gates (transistors)

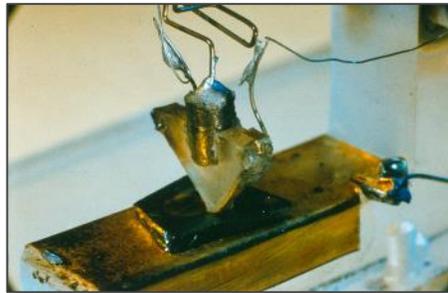


NOT and a single 2 bit gate
(as **XOR**) are enough =>
**Universal Turing
Machine**

Classical computers



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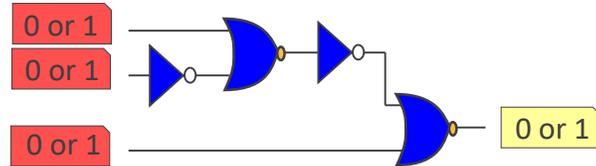


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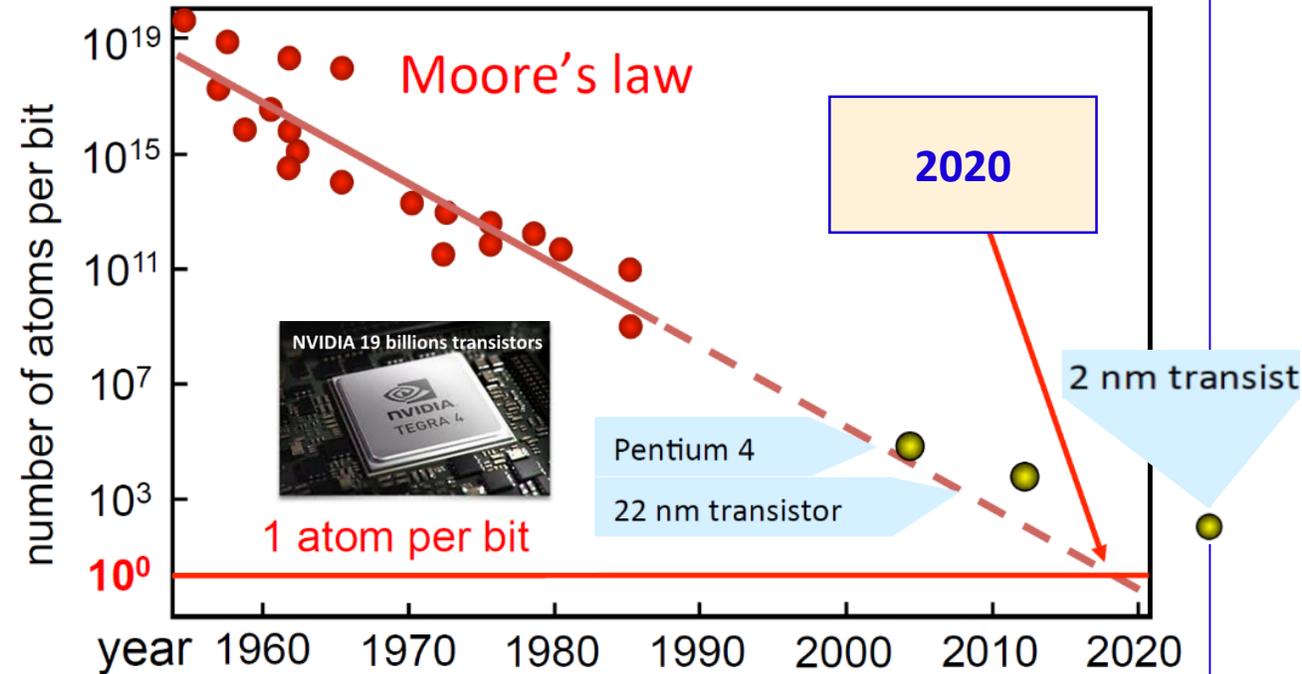
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NOT and a single 2 bit gate (as **XOR**) are enough =>
Universal Turing Machine

Are reaching the limit of one atom per bit



2

Quantum 2.0 and the disruption of information technology

- ▶ **Quantique 1.0: Reaching its end**
Manipulating macroscopic quantum systems
ie with many quantum “objects”

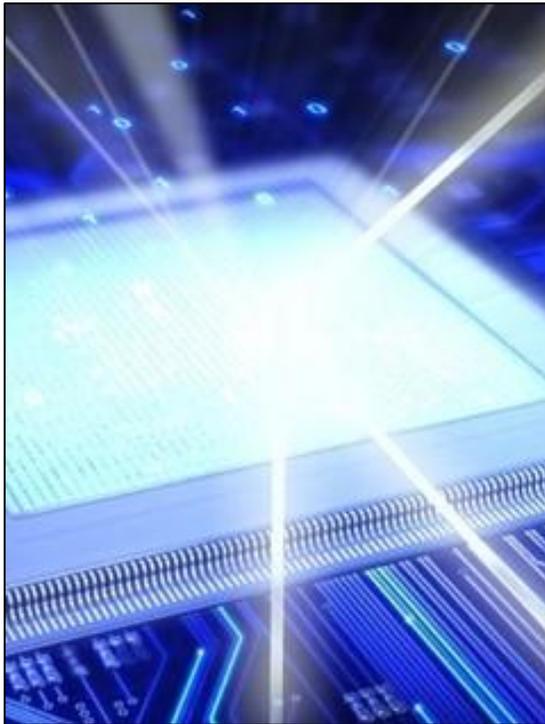


Germanium laser

Quantique 2.0 : Mastering individual quantum “objects”

► Quantique 1.0: Reaching its end

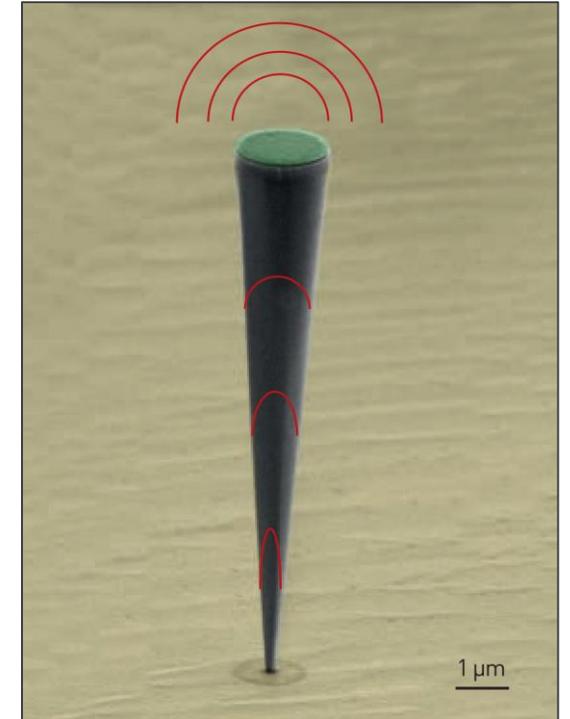
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► Quantique 2.0: Opens a new world

Mastering individual quantum “objects”
ie individual quantum degrees of freedom

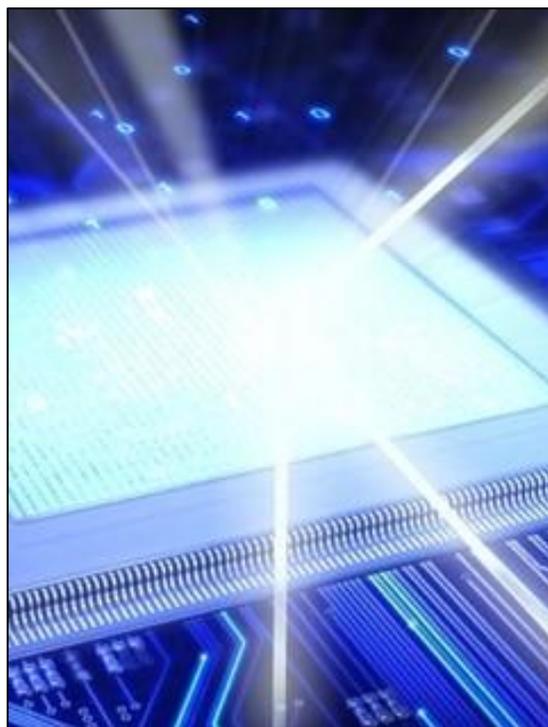


Single photon source

Quantique 2.0 : Mastering individual quantum “objects”

► Quantique 1.0: Reaching its end

Manipulating macroscopic quantum systems
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Germanium laser

► Same quantum degrees of freedom
but
going from a macroscopic ensemble
to individual states

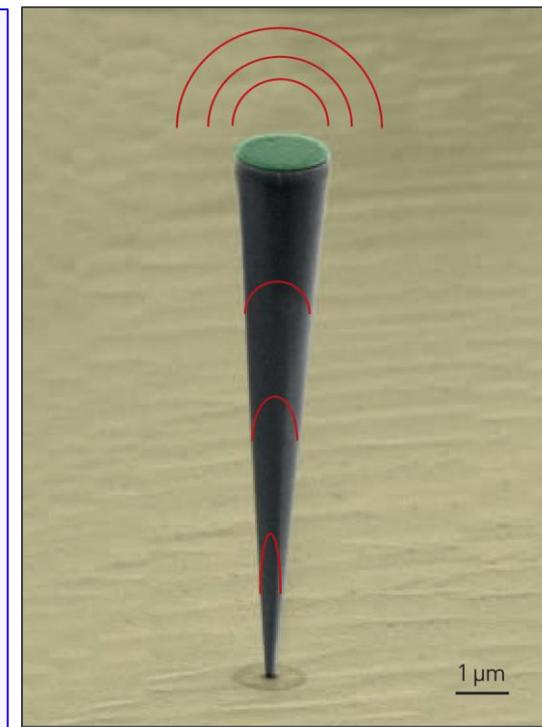
► Huge paradigm shift
for the accessible space of possibilities
=> access to the **huge** space of quantum states
(Hilbert/Fock space)

=> access the "strangest" quantum phenomena

- **Superposition**
- **Non-locality**
- **Entanglement**

► Quantique 2.0: Opens a new world

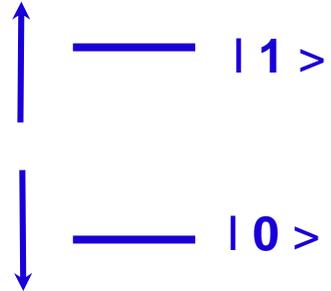
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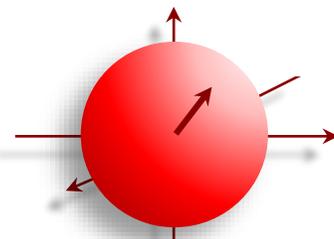
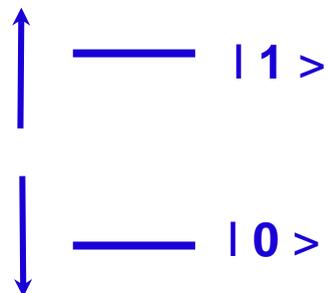
► **Superposition of states :**

- Example of an object with 2 states : **quantum bit or Qubit**



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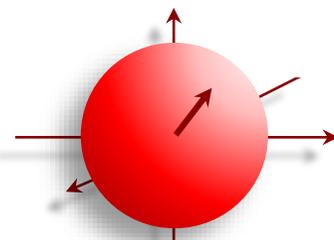
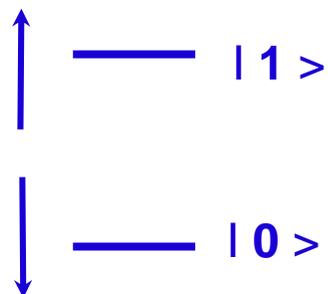
An infinity of states “simultaneously” 0 and 1 :

$$| \text{state} \rangle = \alpha | 0 \rangle + \beta | 1 \rangle$$

Superposition & Entanglement

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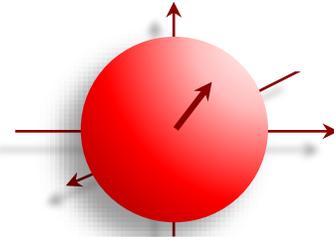
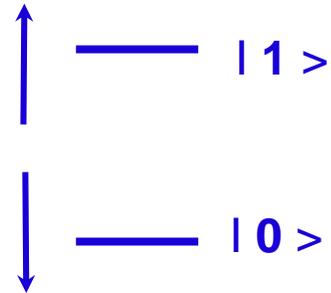
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Superposition => Entanglement

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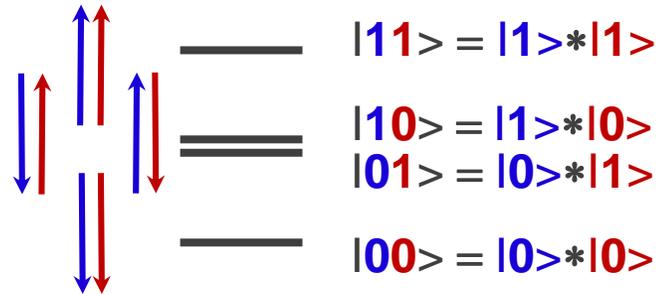
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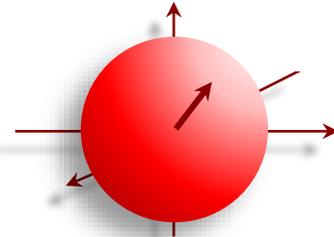
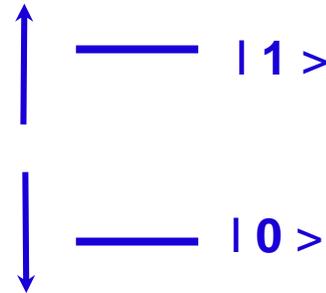
- **Superposition of states of several objects,**
- ex 2 objects with 2 states



Superposition => Entanglement

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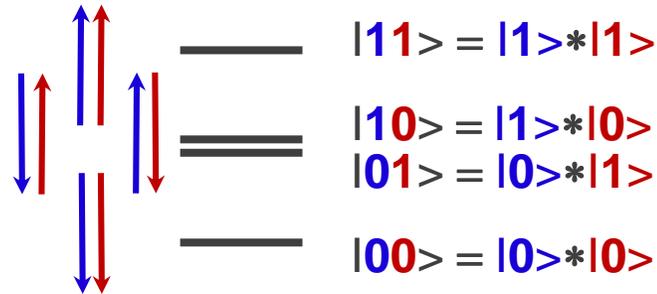


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► Entanglement :

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$$| 11 \rangle = | 1 \rangle * | 1 \rangle$$

$$| 10 \rangle = | 1 \rangle * | 0 \rangle$$

$$| 01 \rangle = | 0 \rangle * | 1 \rangle$$

$$| 00 \rangle = | 0 \rangle * | 0 \rangle$$

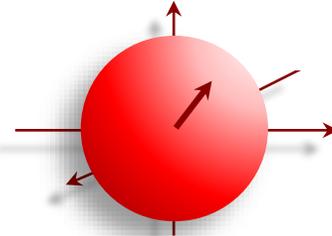
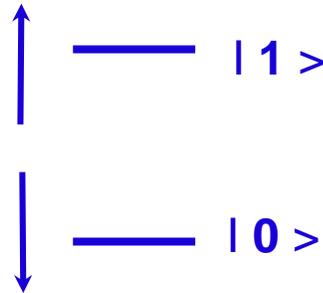
N "objects" => 2^N dimensions space,

$$\text{ex 2 qubits : } | \text{state} \rangle = \alpha | 00 \rangle + \beta | 01 \rangle + \gamma | 10 \rangle + \delta | 11 \rangle$$

Superposition => Entanglement

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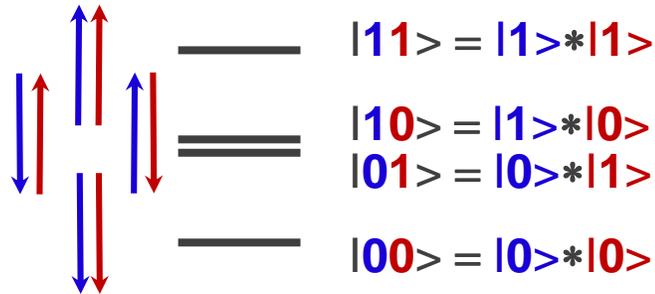


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► Entanglement :

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Coupled quantum objects cannot be thought individually

Example : $| 00 \rangle + | 11 \rangle \neq (\alpha_A | 0 \rangle + \beta_A | 1 \rangle) * (\alpha_B | 0 \rangle + \beta_B | 1 \rangle)$

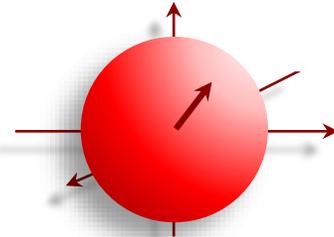
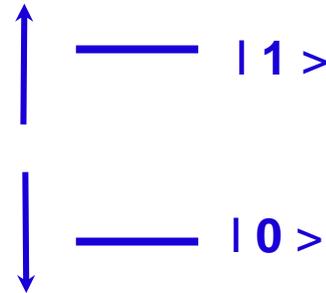
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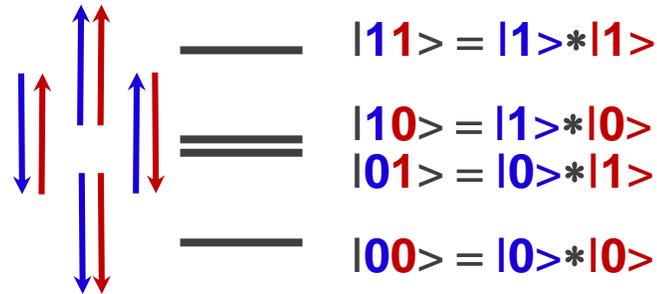


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N "objects" => 2^N dimensions space,

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Coupled quantum objects cannot be thought individually => they are entangled

⇒ **access to the huge space with 2^N dimensions of entangled states**

⇒ **2^N evolution of all the solutions « at the same time »**

**EINSTEIN ATTACKS
QUANTUM THEORY**

Scientist and Two Colleagues
Find It Is Not 'Complete'
Even Though 'Correct.'



Mastering individual quantum “objects”: ultimate sensitivity





Mastering individual quantum “objects”: ultimate sensitivity



QUANTUM
Sensing
metrology



Entangling distant “objects”: inviolable and disruptive communications



QUANTUM
Communication



Mastering individual quantum “objects”: ultimate sensitivity



Entangling distant “objects”: inviolable and disruptive communications



Massive entanglement: unprecedented massive computing capabilities



QUANTUM
Sensing
metrology



QUANTUM
Communication



QUANTUM
Computing



QUANTUM
Simulation

Quantique 2.0: Major difficulties

► **Fabrication challenges:**

- Even more difficult than the 1st quantum revolution



1947, 1st Transistor



1971, 2 300 transistors.



2020, 54 milliard transistors

Quantique 2.0: Major difficulties

► Fabrication challenges:

- Even more difficult than the 1st quantum revolution



1947, 1st Transistor

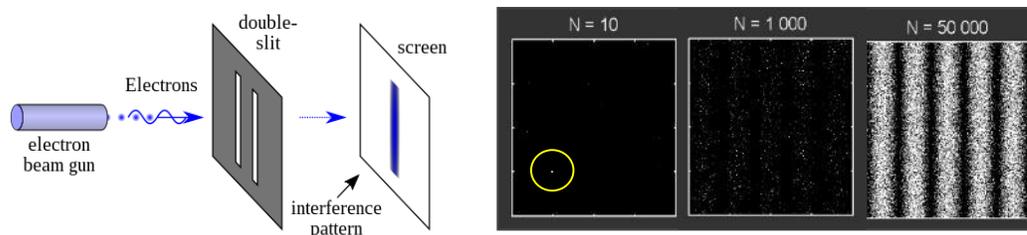


1971, 2 300 transistors.

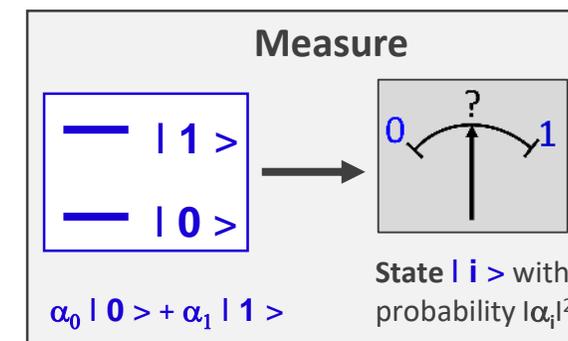


2020, 54 milliard transistors

► Quantum is probabilistic: the measure destroys the superposition



Example. Electron waves and probabilistic measure on screen



Quantique 2.0: Major difficulties

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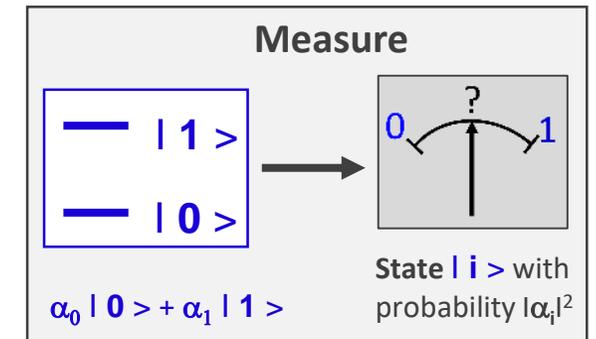
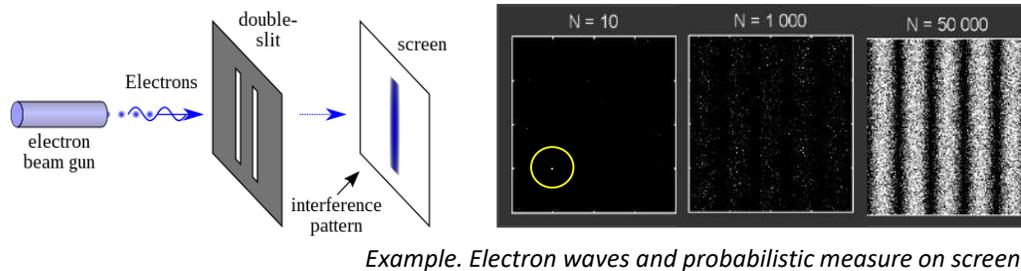


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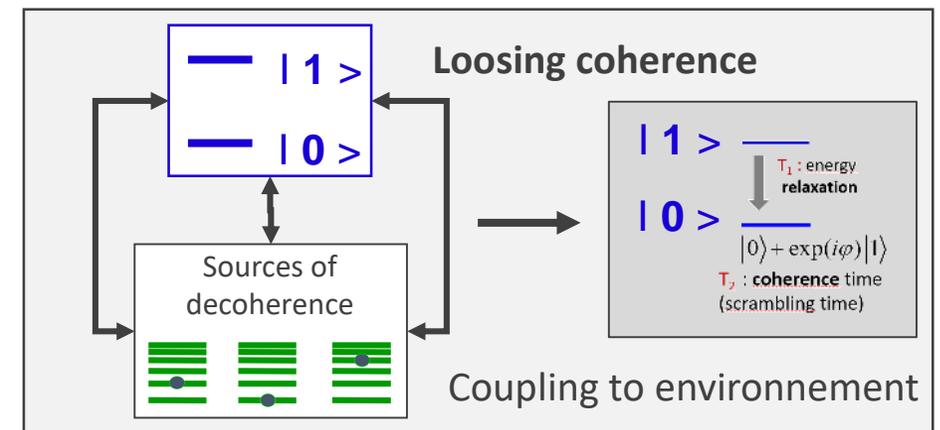
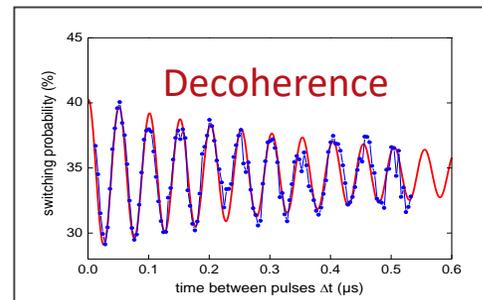
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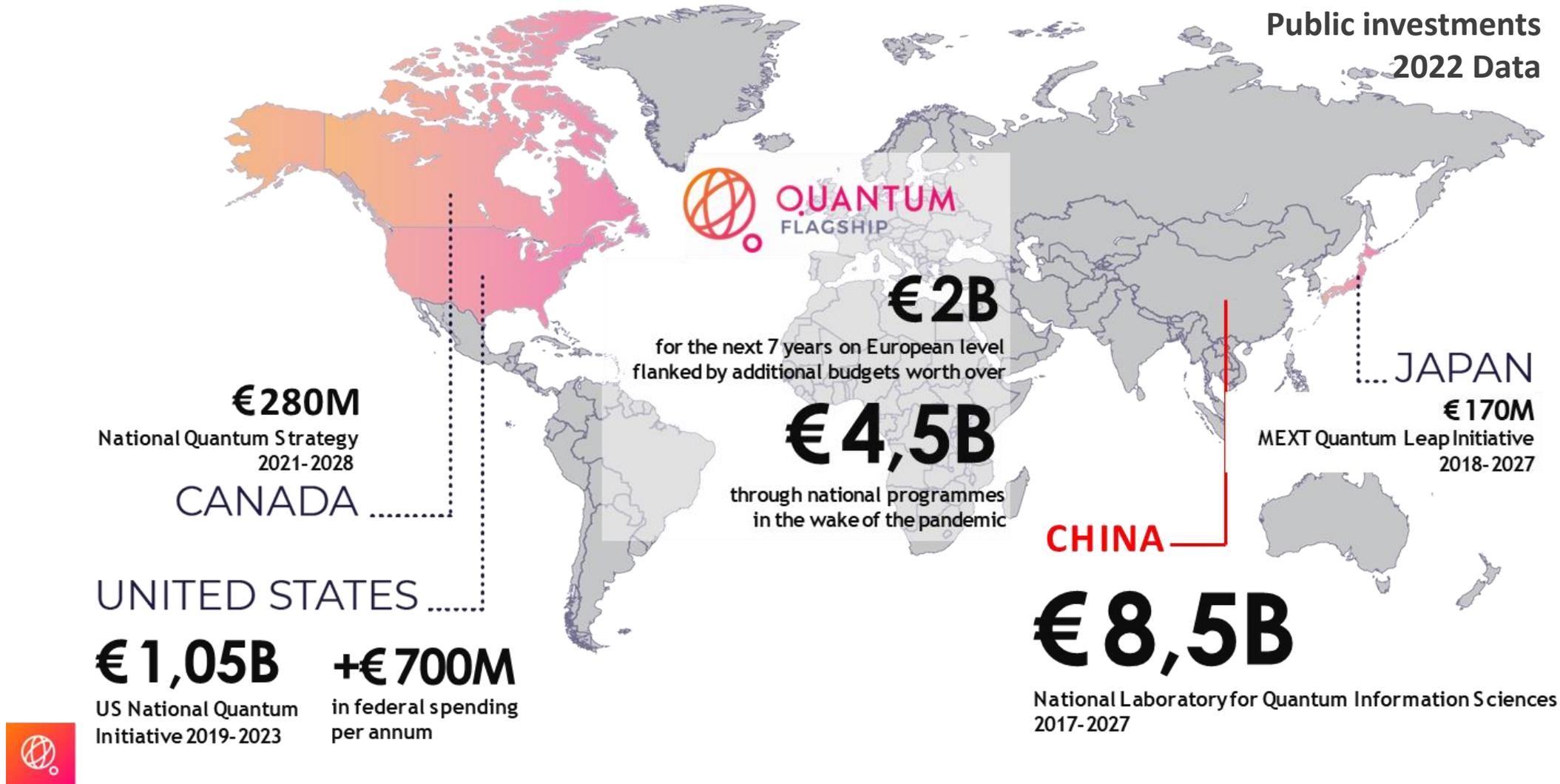
► Quantum is probabilistic: the measure destroys the superposition



► Coupling to environment is destroying coherence: Superposition & entanglement

- Error correction codes needed
=> thousands of physical qubits to protect a single logical qubit
- Or new robust qubits protected from decoherence





3

Quantum computing for nuclear, particle and astro physics



► Quantum annealing

$$|\psi\rangle \Rightarrow |\psi_0\rangle$$

Looking for ground states

- adiabatic optimization
- exploring many paths
- using tunnel effects



► Quantum annealing

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Looking for ground states

- adiabatic optimization
- exploring many paths
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► Quantum simulation

$$|\psi(t)\rangle = \hat{U}(0,t) |\psi(0)\rangle$$

Quantum evolution

- analogue computing



► Quantum annealing

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Looking for ground states

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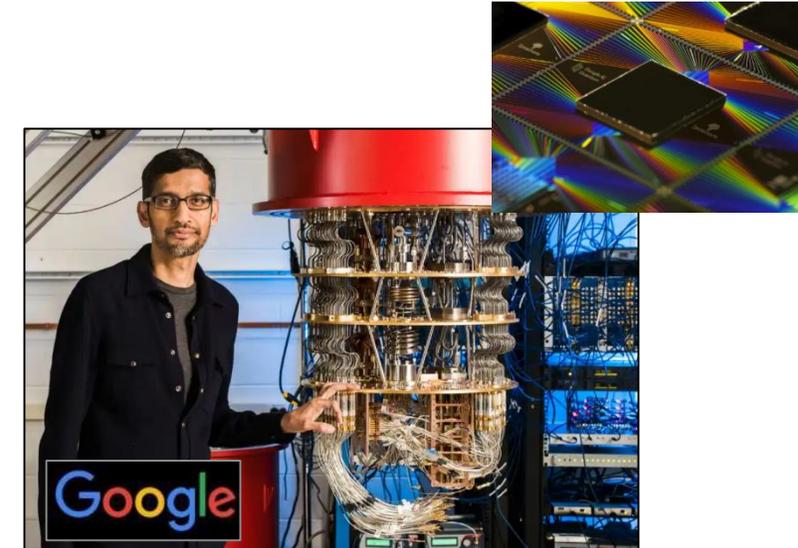


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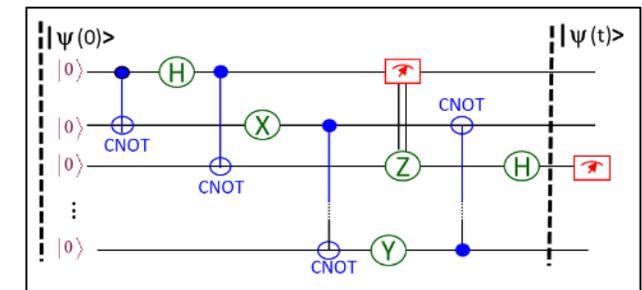
- analogue computing



► Quantum digital computing

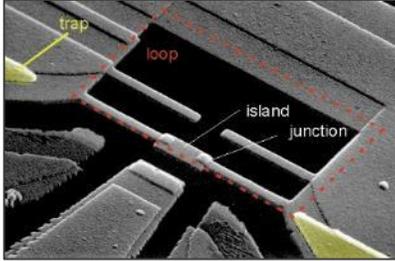
$$|\psi(N\Delta t)\rangle = \hat{U}_N(\Delta t) \dots \hat{U}_1(\Delta t) |\psi(0)\rangle$$

Gate based evolution



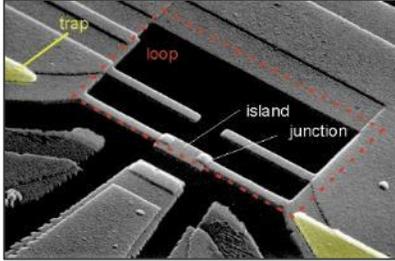
Many possible technologies/degrees of freedom

Quantum “objects”/degrees of freedom



- ▶ **Electrons pairs / superconducting current**
 - Qantronium - transmon

Quantum “objects”/degrees of freedom

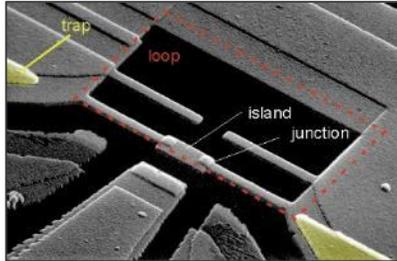


- ▶ **Electrons pairs / superconducting current**
 - Qantronium - transmon



- ▶ **Photons**

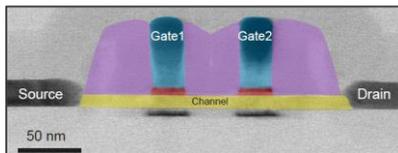
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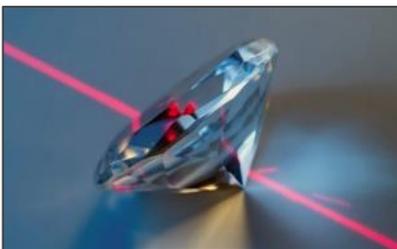
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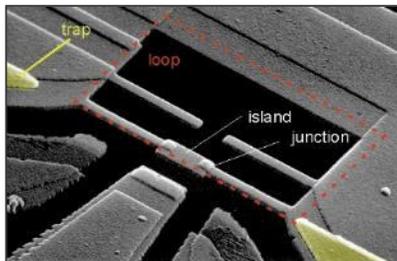
- ▶ **Photons**



- ▶ **Spin**
 - Electrons or holes in semiconductors (AsGa, Si, Ge, ...)
 - NV centers in diamond (Nitrogen vacancy)



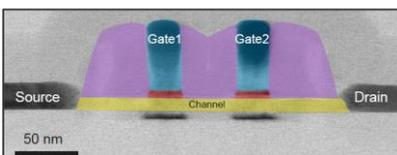
Quantum “objects” /degrees of freedom



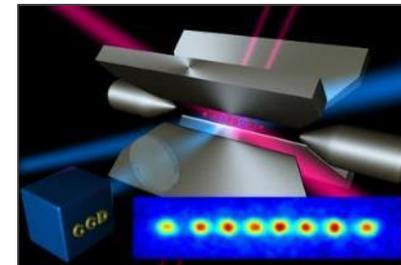
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- ▶ Photons

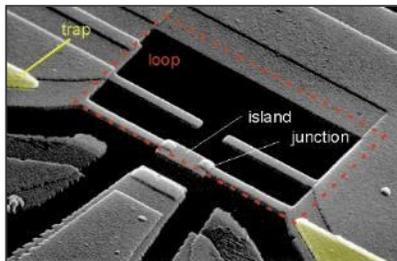


- ▶ Spin
 - Electrons or holes in semiconductors (AsGa, Si, Ge, ...)
 - NV centers in diamond (Nitrogen vacancy)



- ▶ Ions

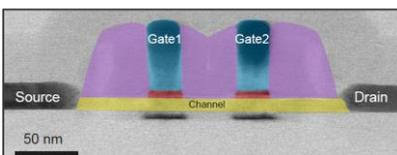
Quantum “objects”/degrees of freedom



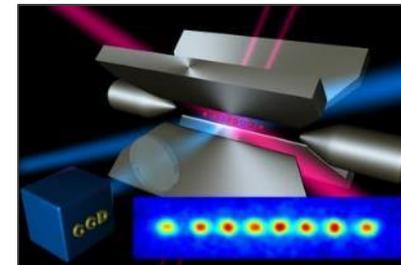
- ▶ Electrons pairs / superconducting current
 - Qantronium - transmon



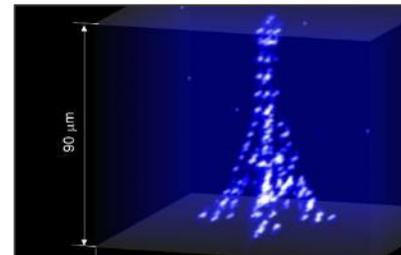
- ▶ Photons



- ▶ Spin
 - Electrons or holes in semiconductors (AsGa, Si, Ge, ...)
 - NV centers in diamond (Nitrogen vacancy)

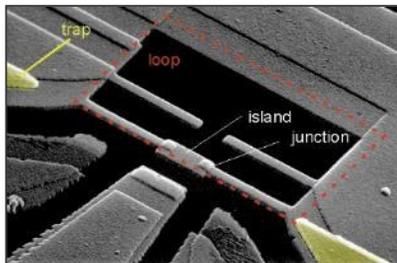


- ▶ Ions



- ▶ Atoms
- ▶ Molecules

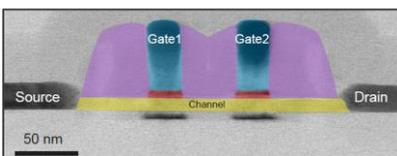
Quantum “objects” /degrees of freedom



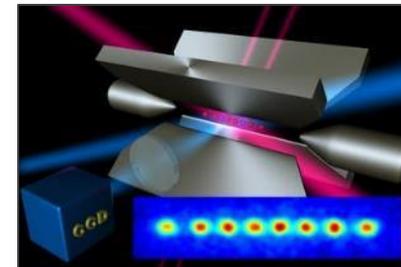
- ▶ **Electrons pairs / superconducting current**
 - Qantronium - transmon



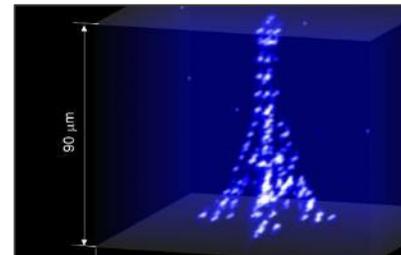
- ▶ **Photons**



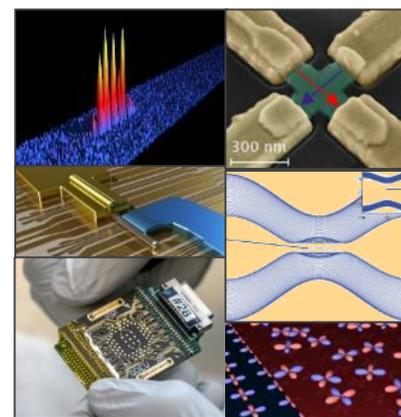
- ▶ **Spin**
 - Electrons or holes in semiconductors (AsGa, Si, Ge, ...)
 - NV centers in diamond (Nitrogen vacancy)



- ▶ **Ions**



- ▶ **Atoms**
- ▶ **Molecules**



- ▶ **New quantum degrees of freedom / quantum materials**
 - Flying qubits, surface states, leviton, pseudospin, Skyrmions, spin-orbite, 2D systems, topological materials, Majorana fermions, anti/multi-ferroic ...

► Search

based on Deutsch-Jozsa, Simon and Grover's algorithms

- Polynomial acceleration



Exploring graphs and data bases

► Search

based on Deutsch-Jozsa, Simon and Grover's algorithms

- Polynomial acceleration



Exploring graphs and data bases

► Quantum Fourier transforms (QFT)

such as Shor's algorithm for factorization (&Bitcoin)

- Exponential acceleration



Cryptography

► Search

based on Deutsch-Jozsa, Simon and Grover's algorithms

- Polynomial acceleration



Exploring graphs and data bases

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such as Shor's algorithm for factorization (&Bitcoin)

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Cryptography

► Optimization

searching equilibrium point of a complex system
such as neural network and optimal path (PCA)

- Exponential acceleration

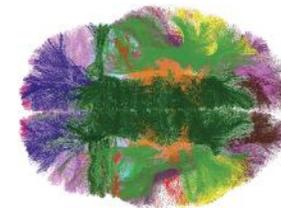


Image processing



Market evolution

Main classes of quantum algorithms

► Search

based on Deutsch-Jozsa, Simon and Grover's algorithms

- Polynomial acceleration



Exploring graphs and data bases

► Quantum Fourier transforms (QFT)

such as Shor's algorithm for factorization (&Bitcoin)

- Exponential acceleration



Cryptography

► Optimization

searching equilibrium point of a complex system
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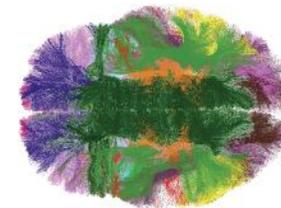


Image processing



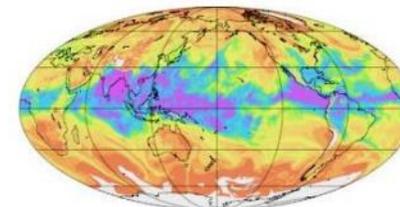
Market evolution

► Quantum simulation and variational approach

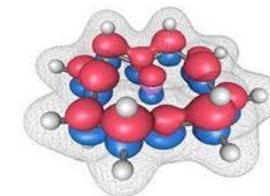
Quantum many body problems

Resolution of linear differential equations (HHL)

- Exponential acceleration



Weather broadcast



Molecules

► Search

based on Deutsch-Jozsa, Simon and Grover's algorithms

- Polynomial acceleration

► Quantum Fourier transforms (QFT)

such as Shor's algorithm for factorization (&Bitcoin)

- Exponential acceleration

► Optimization

searching equilibrium point of a complex system
such as neural network and optimal path (PCA)

- Exponential acceleration

► Quantum simulation and variational approach

Quantum many body problems

Resolution of linear differential equations (HHL)

- Exponential acceleration

► Data mining

pattern recognition, Graph analysis

► Signal treatment

frequency decomposition

► Image and data analysis

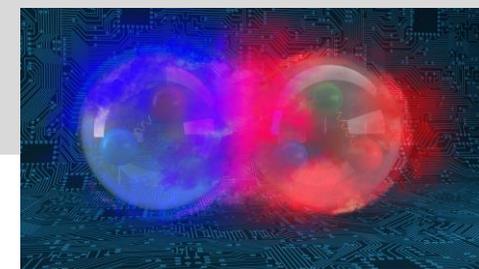
Advance treatment (AI, statistical analysis)

► Theory and simulation

Many-body problem and field theory,

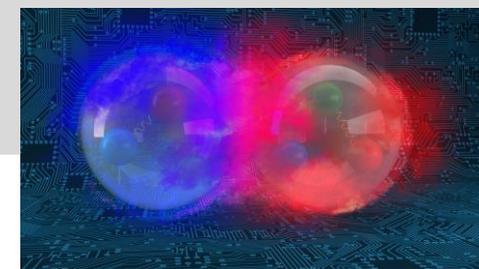
First quantum calculation of a deuteron

Dumitrescu, McCaskey, Hagen, Jansen, Morris, TP, Pooser, Dean, Lougovski, Phys. Rev. Lett. 120, 210501 (2018)

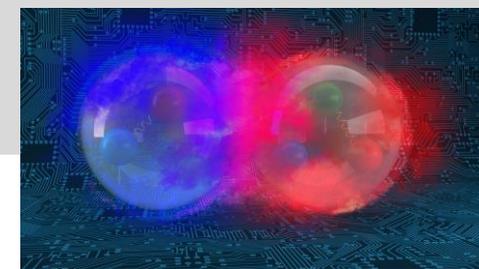


First quantum calculation of a deuteron

Dumitrescu, McCaskey, Hagen, Jansen, Morris, TP, Pooser, Dean, Lougovski, Phys. Rev. Lett. 120, 210501 (2018)



- ▶ **Hamiltonien**
 - Pionless effective field theory at leading order
 - fit to deuteron binding energy;
 - constructed in harmonic-oscillator basis of 3S1 partial wave [à la Binder et al. (2016); Aaina Bansal et al. (2017)]
- ▶ **Ab initio approach**
 - Low-depth version of the unitary coupled-cluster ansatz



► Hamiltonien

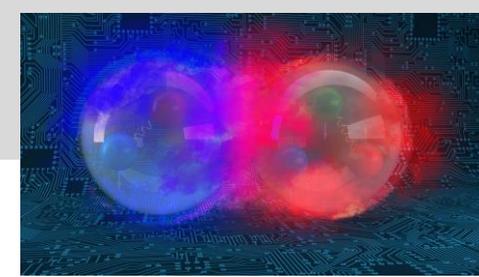
- Pionless effective field theory at leading order
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► Ab initio approach

- Low-depth version of the unitary coupled-cluster ansatz



- Use the variational quantum eigensolver algorithm
- On 2 (and 3) Qubits IBM QX5 and Rigetti 19Q computers



PHYSICAL REVIEW LETTERS **120**, 210501 (2018)

Editors' Suggestion

Featured in Physics

Cloud Quantum Computing of an Atomic Nucleus

E. F. Dumitrescu,¹ A. J. McCaskey,² G. Hagen,^{3,4} G. R. Jansen,^{5,3} T. D. Morris,^{4,3} T. Papenbrock,^{4,3,9}
R. C. Pooser,^{1,4} D. J. Dean,³ and P. Lougovski^{1,9}

¹Computational Sciences and Engineering Division, Oak Ridge National Laboratory, Oak Ridge, Tennessee 37831, USA

²Computer Science and Mathematics Division, Oak Ridge National Laboratory, Oak Ridge, Tennessee 37831, USA

³Physics Division, Oak Ridge National Laboratory, Oak Ridge, Tennessee 37831, USA

⁴Department of Physics and Astronomy, University of Tennessee, Knoxville, Tennessee 37996, USA

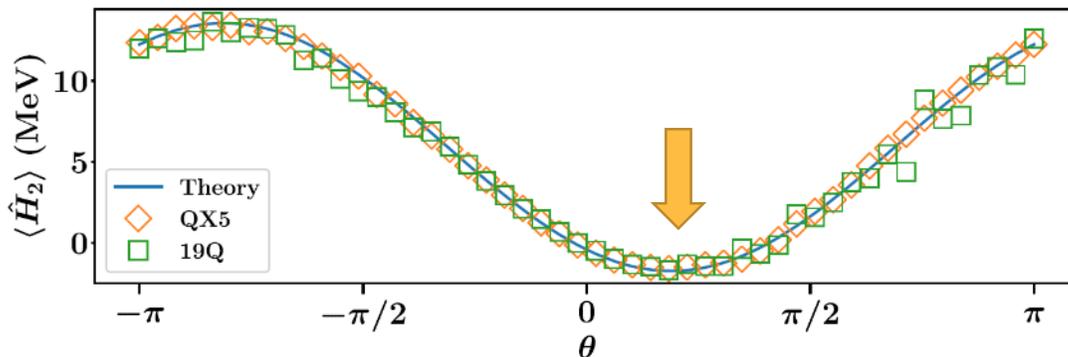
⁵National Center for Computational Sciences, Oak Ridge National Laboratory, Oak Ridge, Tennessee 37831, USA

(Received 12 January 2018; published 23 May 2018)

We report a quantum simulation of the deuteron binding energy on quantum processors accessed via cloud servers. We use a Hamiltonian from pionless effective field theory at leading order. We design a low-depth version of the unitary coupled-cluster ansatz, use the variational quantum eigensolver algorithm, and compute the binding energy to within a few percent. Our work is the first step towards scalable nuclear structure computations on a quantum processor via the cloud, and it sheds light on how to map scientific computing applications onto nascent quantum devices.

Unitary operator entangling 2 (and 3) orbitals

$$U(\theta) \equiv e^{\theta(a_0^\dagger a_1 - a_1^\dagger a_0)}$$



► Hamiltonien

- Pionless effective field theory at leading order
- fit to deuteron binding energy;
- constructed in harmonic-oscillator basis of 3S1 partial wave [à la Binder et al. (2016); Aaina Bansal et al. (2017)]

► Ab initio approach

- Low-depth version of the unitary coupled-cluster ansatz



► Use the variational quantum eigensolver algorithm

► On 2 (and 3) Qubits IBM QX5 and Rigetti 19Q computers

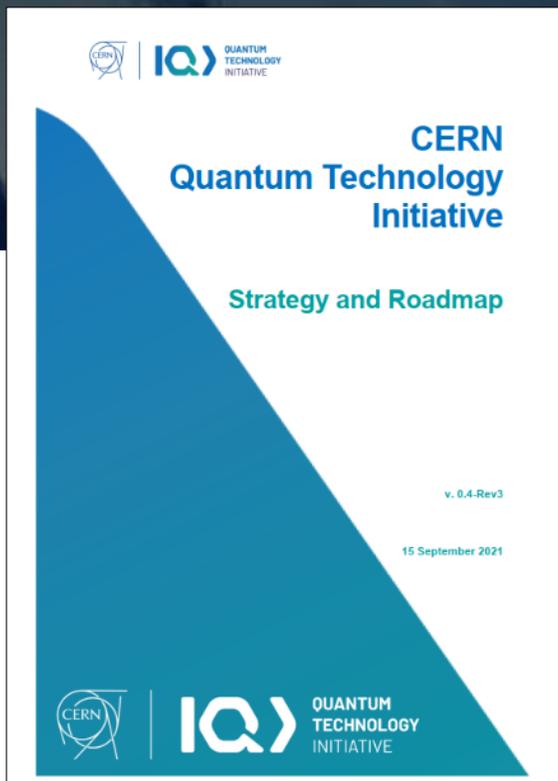


Home

CERN Quantum Technology Initiative

<https://quantum.cern.ch>

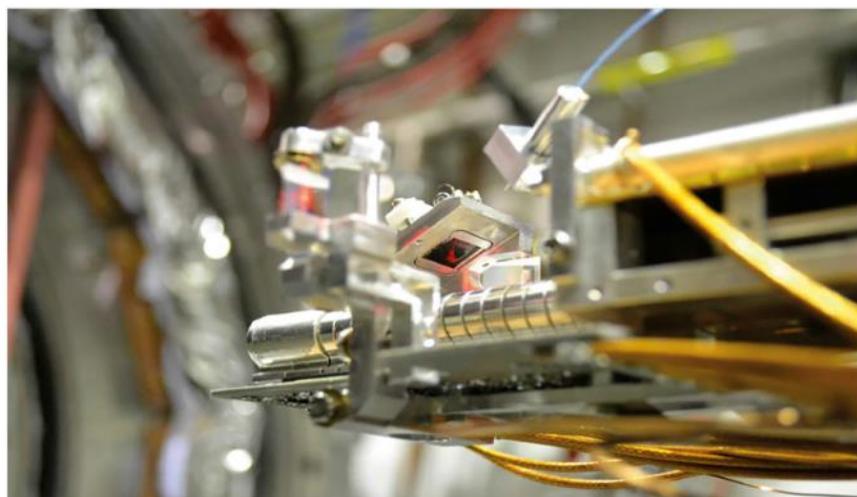
Accelerating Quantum Technology Research and Applications



CERN COURIER

25 September 2020

CERN's new quantum technology initiative has the potential to enrich and expand its challenging research programme, says Alberto Di Meglio.

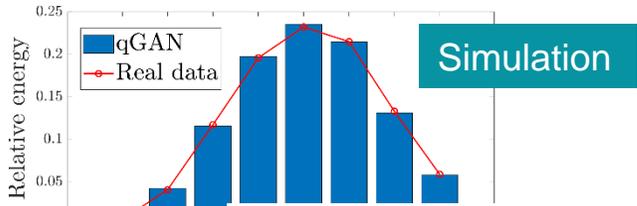


QT inroads CERN's AEGIS experiment is able to explore the multi-particle entangled nature of photons from positronium annihilation, and is one of several examples of existing CERN research with relevance to quantum technologies. Credit: CERN-PHOTO-201604-080-2

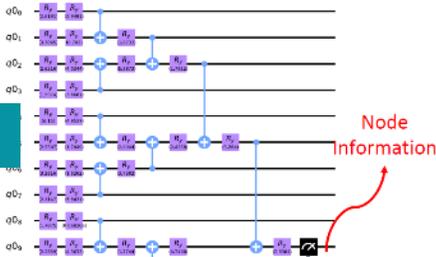
► A strong quantum initiative @ CERN

Areas of Research

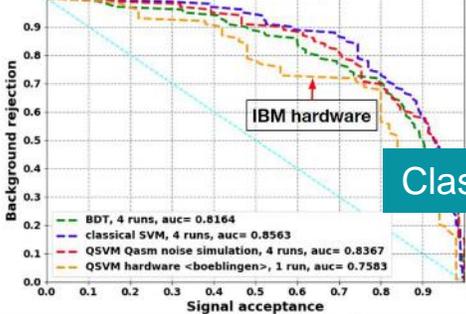
Computing



Reconstruction

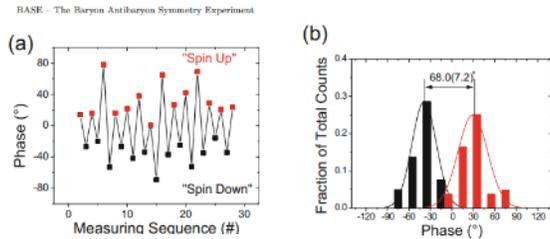


ttH ROC Curve for 100 events, 1000 iterations



Classification

Sensing



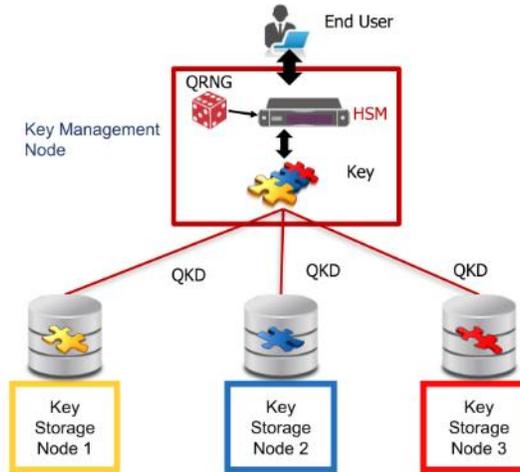
<https://doi.org/10.1140/epjst/e2015-02607-4>

Low-energy experiments, quantum states measurements, nano-technologies



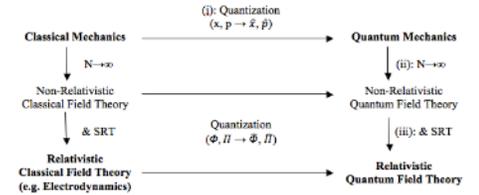
Future HEP Detectors

Communications

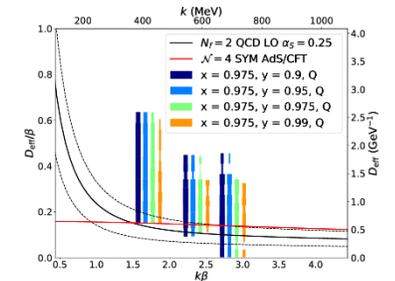


QKD infrastructures
Quantum Internet

Theory



Quantum Field Theory

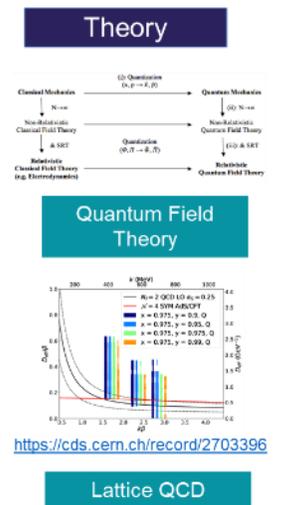
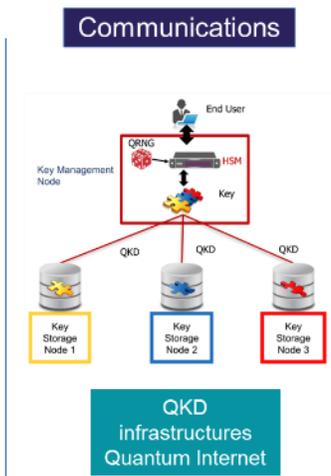
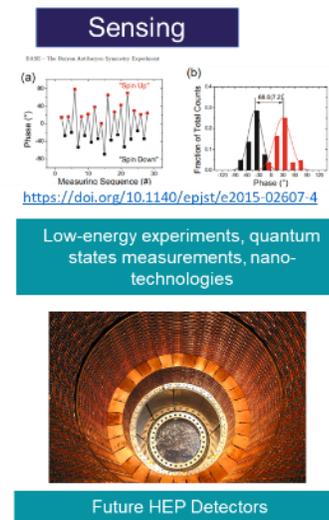
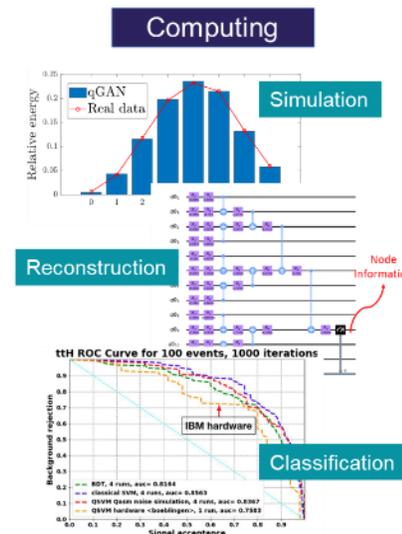


<https://cds.cern.ch/record/2703396>

Lattice QCD

Scientific Publications (2021)

- More than 20 projects in all four quantum areas
- 18 papers
 - 8 on peer-reviewed journals
- More than 20 talks and presentations at conferences and workshops



Scientific Publications (2021)

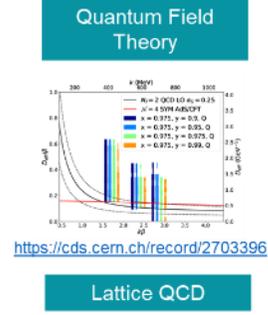
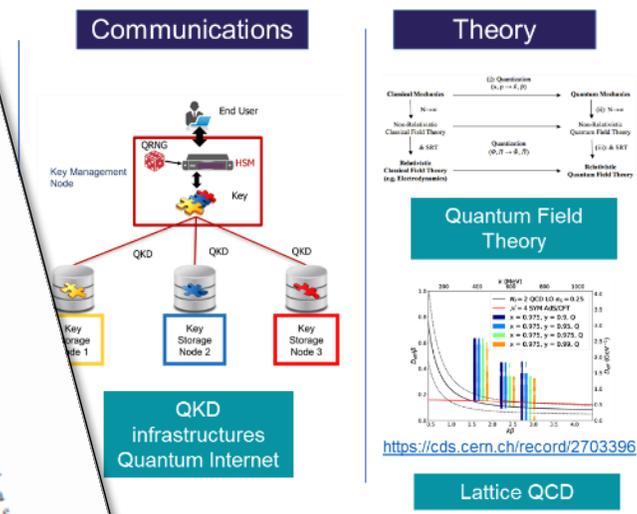
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11.08015v1 [hep-ph] 15 Nov 2021

Efficient Representation for Simulating U(1) Gauge Theories on Digital Quantum Computers at All Values of the Coupling
 CERN-TH-2021-188
 Christian W. Bauer^{1,*} and Dorota M. Grabowska^{2,†}
¹Physics Division, Lawrence Berkeley National Laboratory, Berkeley, CA 94720, USA
²Theoretical Physics Department, CERN, 1211 Geneva 23, Switzerland
 (Dated: November 17, 2021)

We derive a representation for a lattice U(1) gauge theory with exponential convergence in the number of states used to represent each lattice site that is applicable at all values of the coupling. At large coupling, this representation is equivalent to the Kogut-Susskind electric representation, which is known to provide a good description in this region. At small coupling, our approach adjusts the maximum magnetic field that is represented in the digitization as in this regime the low-lying eigenstates become strongly peaked around zero magnetic field. Additionally, we choose a representation of the electric component of the Hamiltonian that gives minimal violation of the canonical commutation relation when acting upon low-lying eigenstates, motivated by the Nyquist-Shannon sampling theorem. For (2+1) dimensions with 4 lattice sites the expectation value of the plaquette operator can be calculated with only 7 states per lattice site with per-mille level accuracy for all values of the coupling constant.

The Standard Model of Particle Physics, encapsulating the vast majority of our understanding of the fundamental nature of our Universe, is at its core a gauge theory. Much of the richness of its phenomenology can be traced back to the complicated interplay of its various gauged interactions. While massive theoretical and algorithmic developments in classical computing have allowed us to probe many of these aspects, there remain a plethora of open questions that do not seem amenable to these methods. With a fundamentally different computational strategy, quantum computers hold the promise to simulate the dynamics of quantum field theories from first principles, allowing access to ab-initio predictions of observables that are inaccessible using existing techniques on classical computers. In order to harness the full potential of quantum computers, an efficient implementation of the Hamiltonian of gauge theories on quantum processors is a mandatory first step. This is no simple task, as well as the redundancies inherent to any gauge freedom inherent to the resolution. For a review of various approaches, both



On a quest of quantum coast promise...

A report on teaching a series of online lectures on quantum computing from CERN

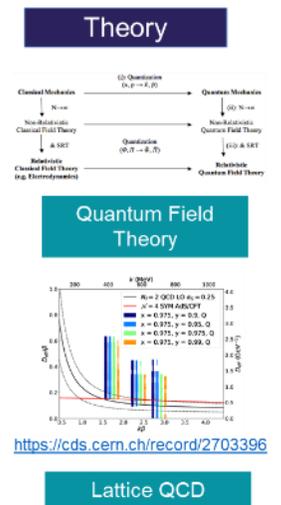
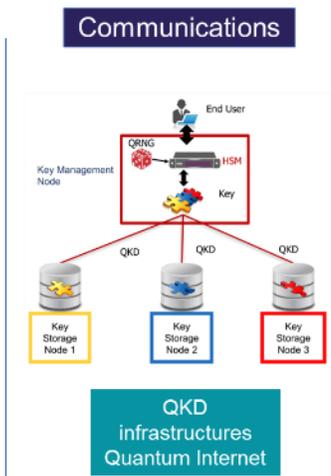
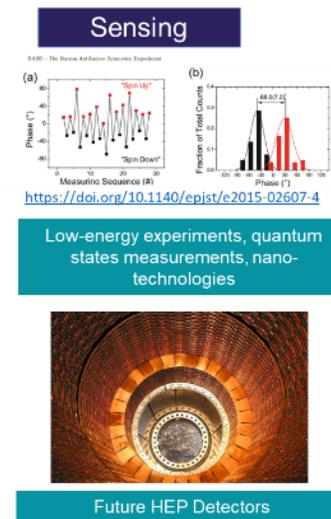
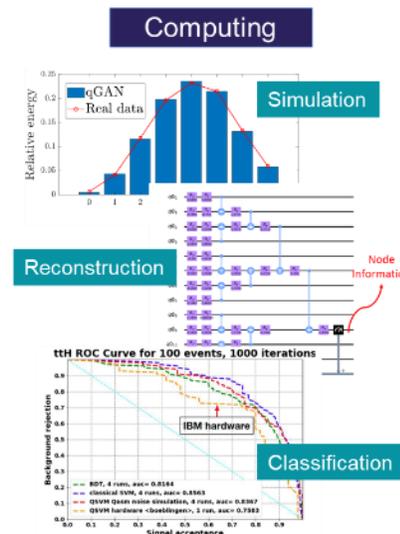
Quantum machine learning in high energy physics

Application of quantum machine learning to the optimization of the LHC

Abstract: The Standard Model of Particle Physics, encapsulating the vast majority of our understanding of the fundamental nature of our Universe, is at its core a gauge theory. Much of the richness of its phenomenology can be traced back to the complicated interplay of its various gauged interactions. While massive theoretical and algorithmic developments in classical computing have allowed us to probe many of these aspects, there remain a plethora of open questions that do not seem amenable to these methods. With a fundamentally different computational strategy, quantum computers hold the promise to simulate the dynamics of quantum field theories from first principles, allowing access to ab-initio predictions of observables that are inaccessible using existing techniques on classical computers. In order to harness the full potential of quantum computers, an efficient implementation of the Hamiltonian of gauge theories on quantum processors is a mandatory first step. This is no simple task, as well as the redundancies inherent to any gauge freedom inherent to the resolution. For a review of various approaches, both

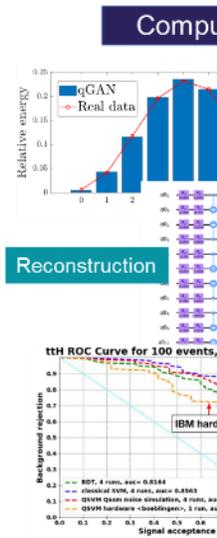
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MACHINE LEARNING Science and Technology



TOPICAL REVIEW

Quantum machine learning in high energy physics

Wen Guan¹, Gabriel Perdue², Arthur Pesah³, Maria Schuld⁴, Koji Terashi⁵, Sofia Vallecorsa⁶ and Jean-Roch Vlimant⁷

- ¹ University of Wisconsin-Madison, Madison, WI, 53706, United States of America
- ² Fermi National Accelerator Laboratory, Fermilab Quantum Institute, PO Box 500, Batavia, IL, 60510-0500, United States of America
- ³ Technical University of Denmark, DTU Compute, Lyngby, Denmark
- ⁴ University of KwaZulu-Natal School of Chemistry and Physics, Durban, ZA 4000, South Africa
- ⁵ ICEPP, The University of Tokyo, 7-3-1 Hongo, Bunkyo-ku, Tokyo, JP 300-1153, Japan
- ⁶ CERN IT, 1, Esplanade des Particules, Geneva, CH 1211, Switzerland
- ⁷ California Institute of Technology, PMA, Pasadena, CA, 91125-0002, United States of America

E-mail: jvlimant@caltech.edu

Keywords: particle physics, quantum machine learning, quantum annealing, quantum circuit, quantum variational circuit

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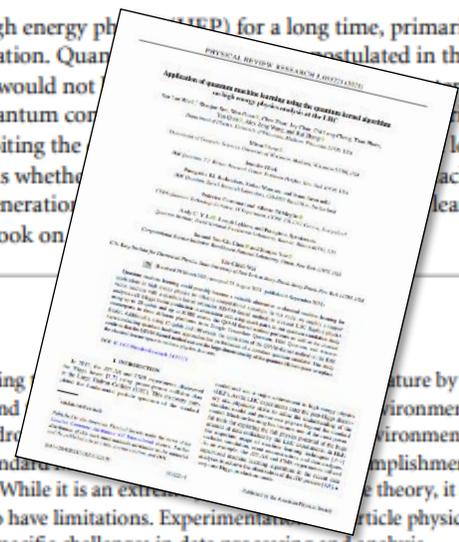
Abstract

Machine learning has been used in high energy physics (HEP) for a long time, primarily at the analysis level with supervised classification. Quantum machine learning (QML) was first formulated in the early 1980s as a way to perform computations that would not be possible classically. With the advent of noisy intermediate-scale quantum computers, new algorithms are being developed with the aim at exploiting the power of quantum machine learning applications. An interesting question is whether these algorithms are useful to HEP. This paper reviews the first generation of quantum machine learning problems in HEP and provide an outlook on the future.

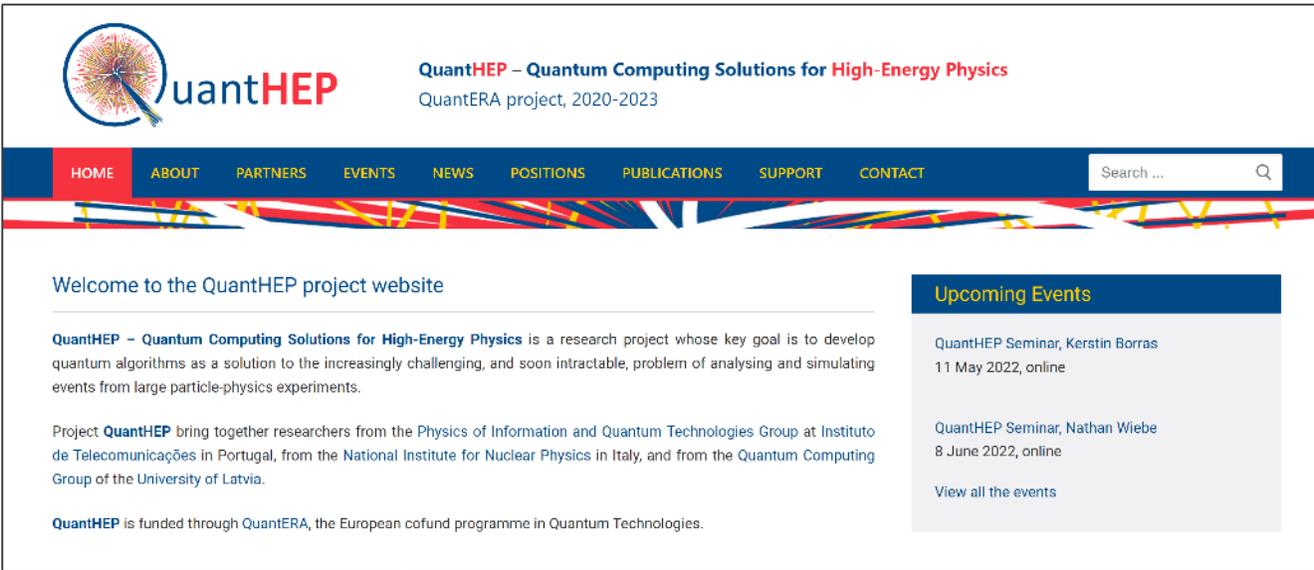
1. Introduction

Particle physics is a branch of science aiming to understand the most elementary components of matter and the forces that govern their interactions at particle accelerators such as the Large Hadron Collider (LHC) and cosmic cataclysmic events in the cosmos. The Standard Model (SM) of particle physics, the result of theoretical work and experimentation. While it is an extremely successful theory, the integration of gravity, and is known to have limitations. Experimental particle physics requires large and complex datasets, which poses specific challenges in data processing and analysis.

Recently, machine learning has been played a significant role in the physical sciences. In particular, we are observing an increasing number of applications of deep learning to various problems in particle physics and astrophysics. Beyond typical classical approaches [1] (boosted decision tree (BDT), support vector machine (SVM), etc.), some of the most developed techniques for computational particle physics are quantum machine learning (QML) [2].



Many initiatives: 2 examples



QuantHEP – Quantum Computing Solutions for High-Energy Physics
QuantERA project, 2020-2023

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Welcome to the QuantHEP project website

QuantHEP – Quantum Computing Solutions for High-Energy Physics is a research project whose key goal is to develop quantum algorithms as a solution to the increasingly challenging, and soon intractable, problem of analysing and simulating events from large particle-physics experiments.

Project **QuantHEP** bring together researchers from the Physics of Information and Quantum Technologies Group at Instituto de Telecomunicações in Portugal, from the National Institute for Nuclear Physics in Italy, and from the Quantum Computing Group of the University of Latvia.

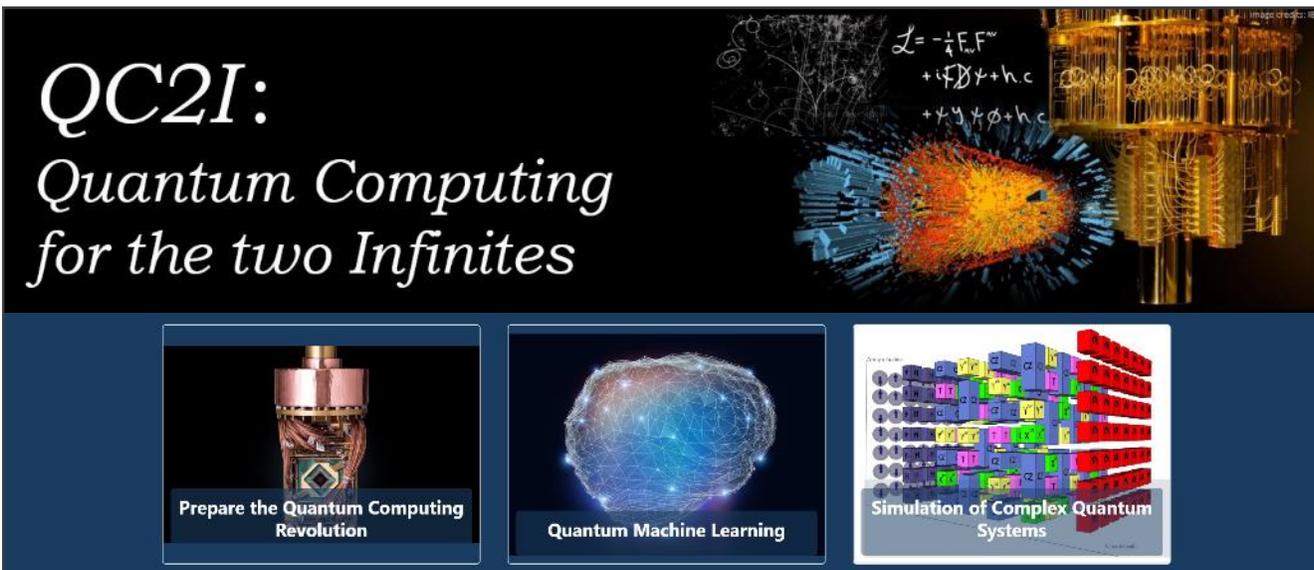
QuantHEP is funded through QuantERA, the European cofund programme in Quantum Technologies.

Upcoming Events

- QuantHEP Seminar, Kerstin Borras
11 May 2022, online
- QuantHEP Seminar, Nathan Wiebe
8 June 2022, online
- [View all the events](#)

► QuantHEP a QuantERA project in EU

- Portugal
- Italy
- Latvia



QC2I:
*Quantum Computing
for the two Infinities*

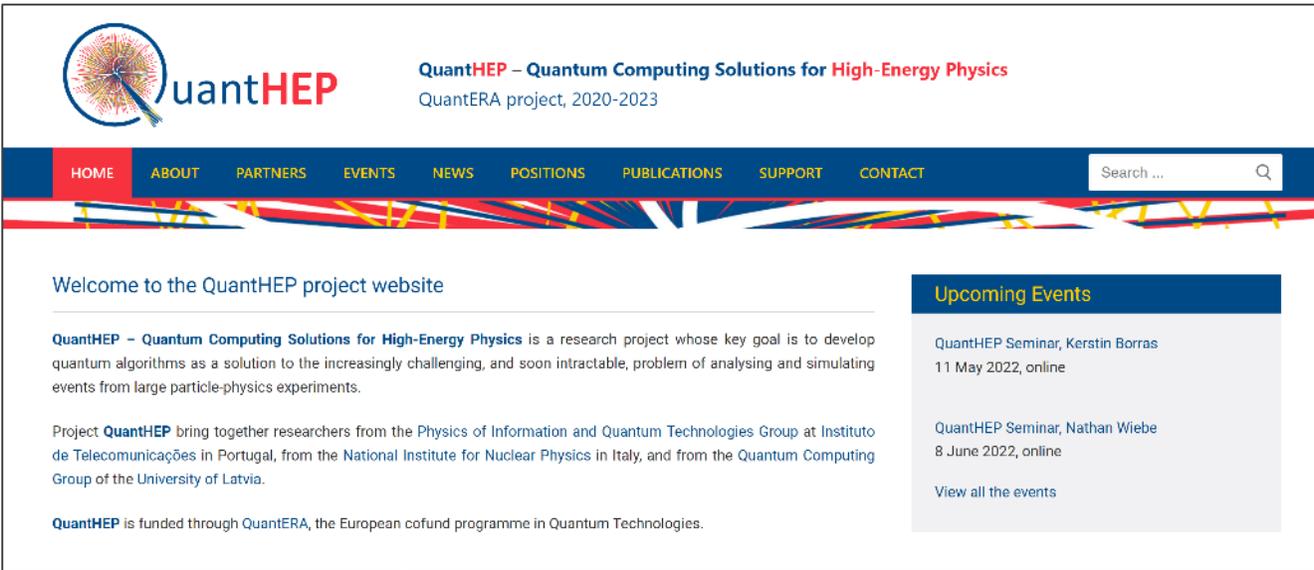
Prepare the Quantum Computing Revolution

Quantum Machine Learning

Simulation of Complex Quantum Systems

► QC2I an IN2P3 project in France

- IJCLab – Orsay
- LPC – Clermont-Ferrand
- LLR – Palaiseau
- LPNHE – Paris
- CC-IN2P3 – Lyon
- APC – Paris
- LPSC – Grenoble
- LUPM – Montpellier



QuantHEP – Quantum Computing Solutions for High-Energy Physics
QuantERA project, 2020-2023

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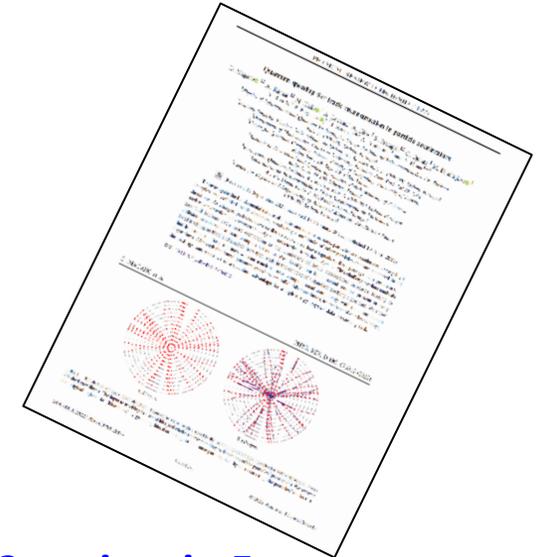
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8 June 2022, online
- [View all the events](#)

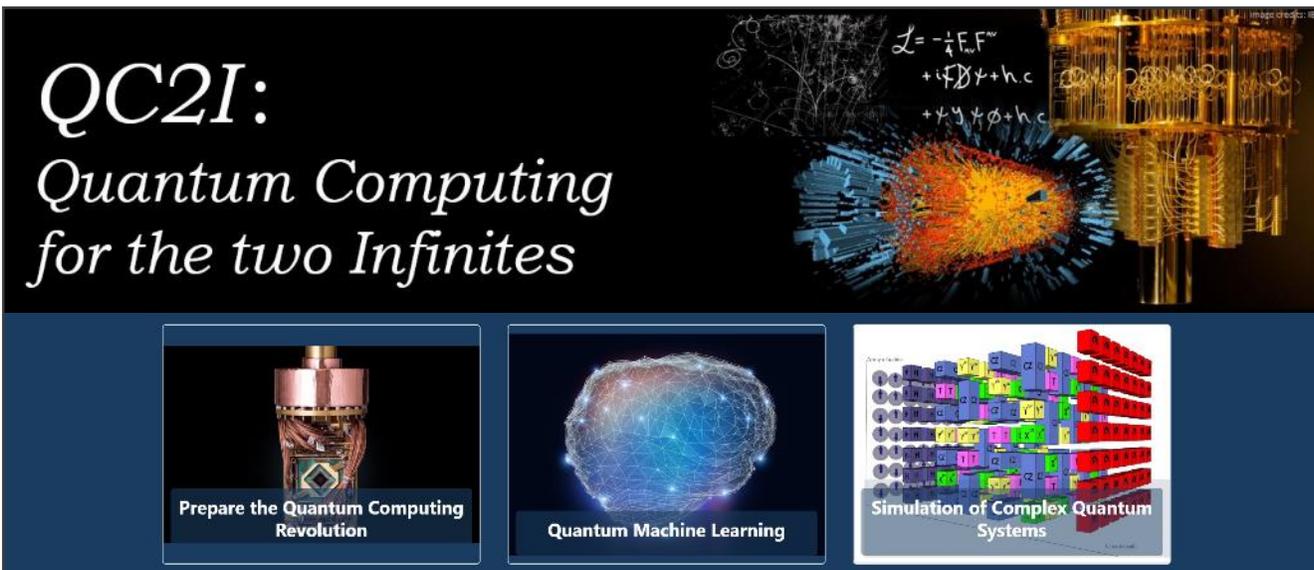
► QuantHEP a QuantERA project in EU

- Portugal
- Italy
- Latvia



► QC2I an IN2P3 project in France

- IJCLab – Orsay
- LPC – Clermont-Ferrand
- LLR – Palaiseau
- LPNHE – Paris
- CC-IN2P3 – Lyon
- APC – Paris
- LPSC – Grenoble
- LUPM – Montpellier



QC2I:
*Quantum Computing
for the two Infinities*

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} + i\bar{\psi}\not{\partial}\psi + h.c. + \psi\psi + \phi + h.c.$$

Prepare the Quantum Computing Revolution

Quantum Machine Learning

Simulation of Complex Quantum Systems

Many initiatives: 2 examples

QuantERA project in EU

The EuroHPC JU launched its first quantum computing initiative

Published on 1 December 2021

With funding from the European High Performance Computing Joint Undertaking (EuroHPC JU), the project High-Performance Computer and Quantum Simulator hybrid (HPCQS) kicked off today with the objective of integrating quantum simulators in already existing European supercomputers. Hybrid computing, blending the best of quantum and classical HPC technologies will unleash new innovative potential and prepare Europe for the post-exascale era.



The logo consists of the letters 'HPC|QS' in a stylized font. 'H' is blue, 'P' is purple, 'C' is red, and 'S' is orange. A vertical bar separates 'HPC' and 'QS'. The 'Q' is a red sphere with white lines, and the 'S' is a yellow sphere with white lines.



HPCQS

► European initiative to couple Quantum computing/simulation with HPC

- Julich in Germany
- Bruyère le Châtel in France

More than 100 Qubits operational in 2022-2023

French node – national quantum-HPC hybrid platform

► Hardware: 3 quantum machine in 2022-2023

- Analog quantum computers (eg Atoms)
- Gate-based QPUs (eg superconducting/trapped ions)
- Early stage innovative QPUs (eg. photonic, carbon nanotubes, cat qubits, self-stabilized architectures)

► 23M€ to develop usage of QPU



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 - WP1: QPU integration, HPC integration, cloud access
 - WP2: Software environment
- Applications
 - WP3: Optimization and machine learning
 - WP4: Simulation of physical systems
- Exploration
 - WP5: Noise characterization and mitigation
 - WP6: Quantum links for secure computation



WP4: Simulation of physical systems

- Ab initio calculation of nuclei
- Quantum chemistry
- Entanglement in solid state physics
- Phase transitions in quantum materials
- Partial differential equation

Academia: CEA, CNRS, INRIA, IPP, Paris-Saclay, Sorbonne, UGA

Industry: ATOS, PASQAL, Qubit Pharmaceuticals

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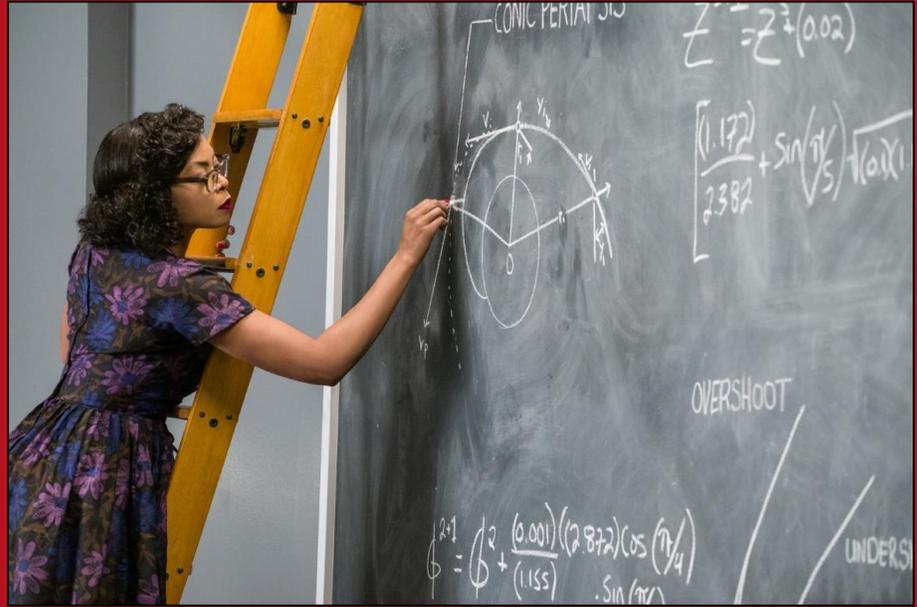
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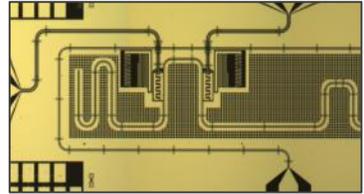
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Conclusion: a revolution to come

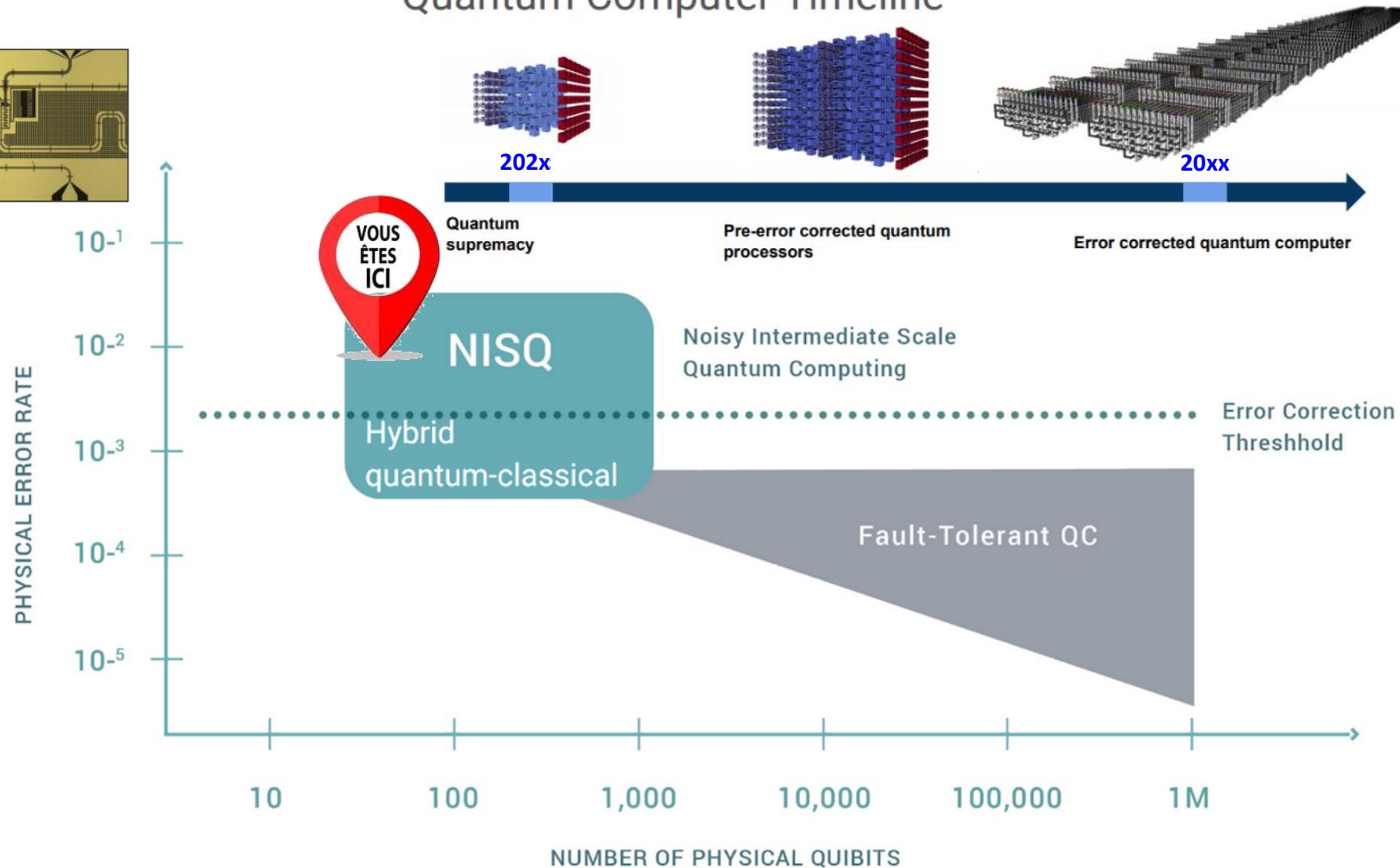
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Conclusion: a revolution to come





Quantum Computer Timeline





FROM RESEARCH TO INDUSTRY

Thank you for your attention