

# A new path for dark matter searches: Cross-correlation between $\gamma$ rays and gravitational tracers

Elena Pinetti (Fermilab)

TeVPA2022 – 10<sup>th</sup> August 2022



# «Got plenty of nothing», arXiv:2205.03360

[Submitted on 6 May 2022]

## Got plenty of nothing: cosmic voids as a probe of particle dark matter

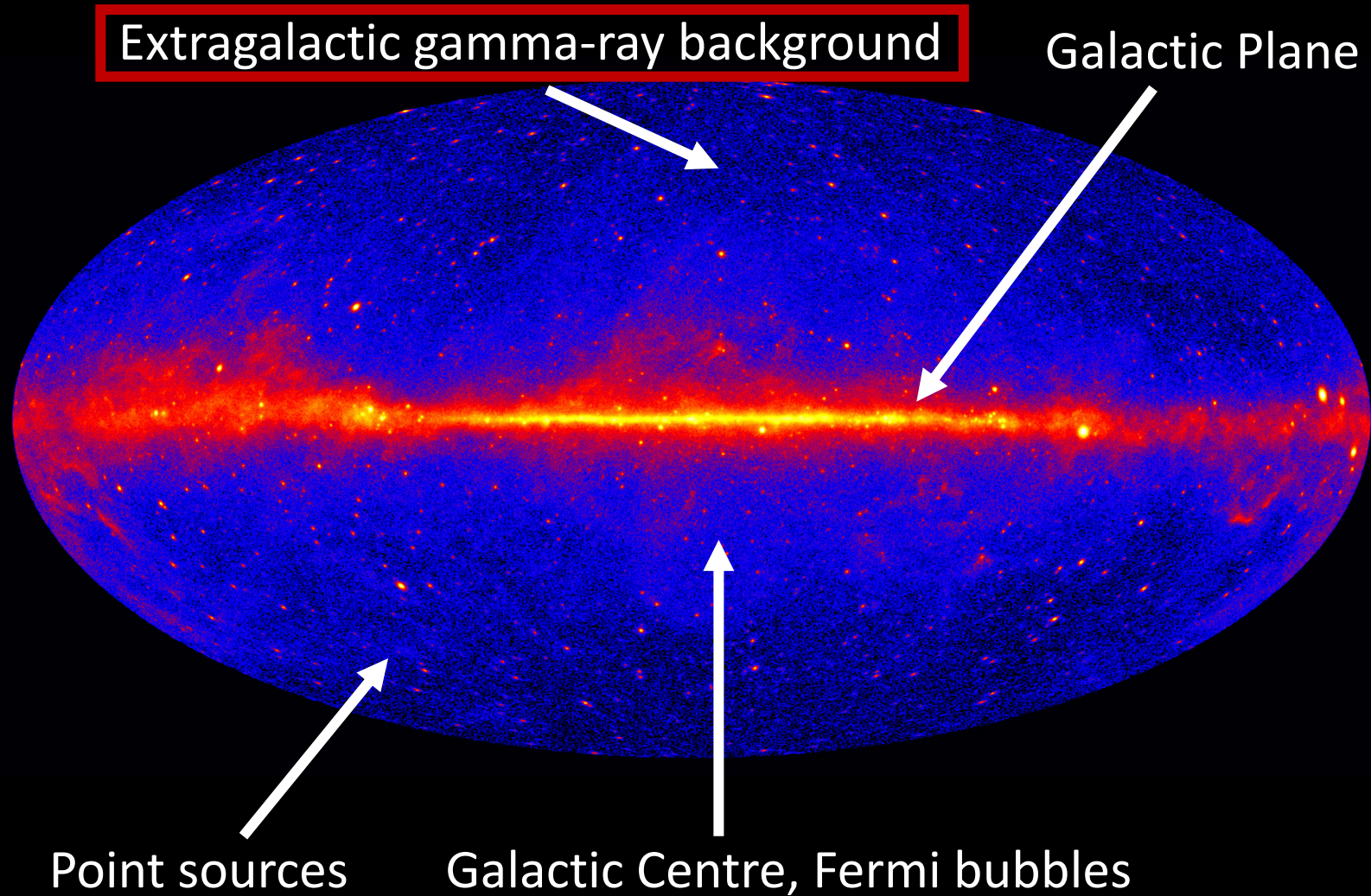
S. Arcari, E. Pinetti, N. Fornengo

The search for a particle dark matter signal in terms of radiation produced by dark matter annihilation or decay has to cope with the extreme faintness of the predicted signal and the presence of masking astrophysical backgrounds. It has been shown that using the correlated information between the dark matter distribution in the Universe with the fluctuations of the cosmic radiation fields has the potential to allow setting apart a pure dark matter signal from astrophysical emissions, since spatial fluctuations in the radiation field due to astrophysical sources and dark matter emission have different features. The cross-correlation technique has been proposed and adopted for dark matter studies by looking at dark matter halos (over-densities). In this paper we extend the technique by focusing on the information on dark matter distribution offered by cosmic voids, and by looking specifically at the gamma-ray dark matter emission: we show that, while being under-dense and therefore producing a reduced emission as compared to halos, nevertheless in voids the relative size of the cross-correlation signal due to decaying dark matter vs. astrophysical sources is significantly more favourable, producing signal-to-background ratios  $S/B$  (even significantly) larger than 1 for decay lifetimes up to  $2 \times 10^{30}$  s. This is at variance with the case of halos, where  $S/B$  is typically (even much) smaller than 1. We show that forthcoming galaxy surveys such as Euclid combined with future generation gamma-ray detectors with improved specifications have the ability to provide a hint of such a signal with a predicted significance up to  $4.2\sigma$  for galaxies and  $2.7\sigma$  for the cosmic shear. The bound on the dark matter lifetime attainable exploiting voids is predicted to improve on current bounds in a mass range for the WIMP of  $20 \div 200$  GeV.

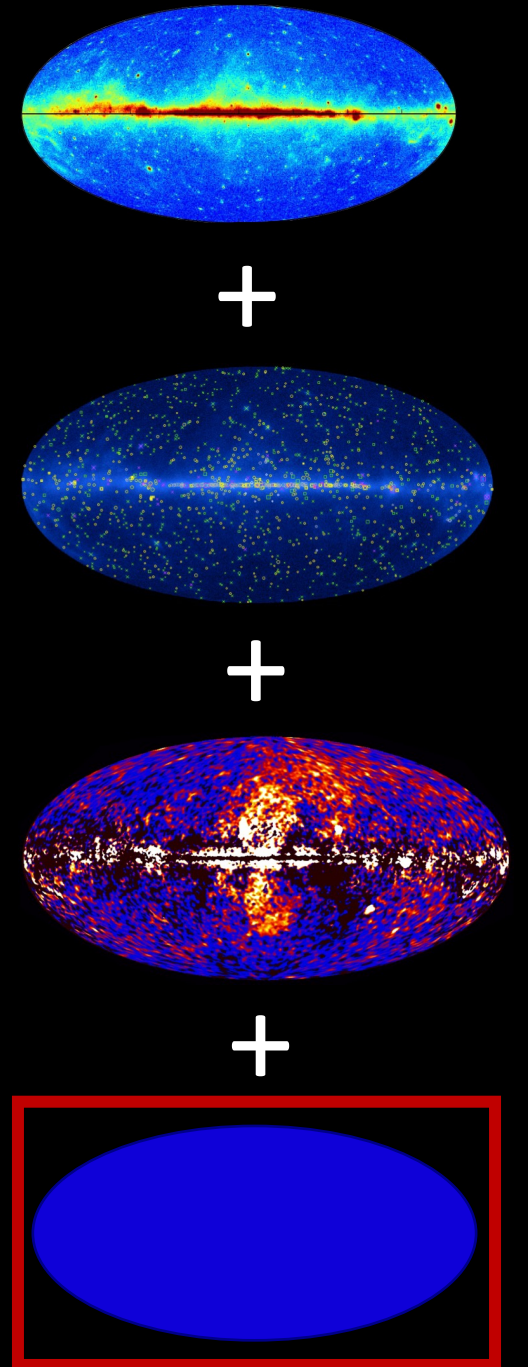
Submitted to JCAP

Thanks to my collaborators: Stefano Arcari (U. Ferrara), Nicolao Fornengo (U. Turin)

# Gamma-ray sky

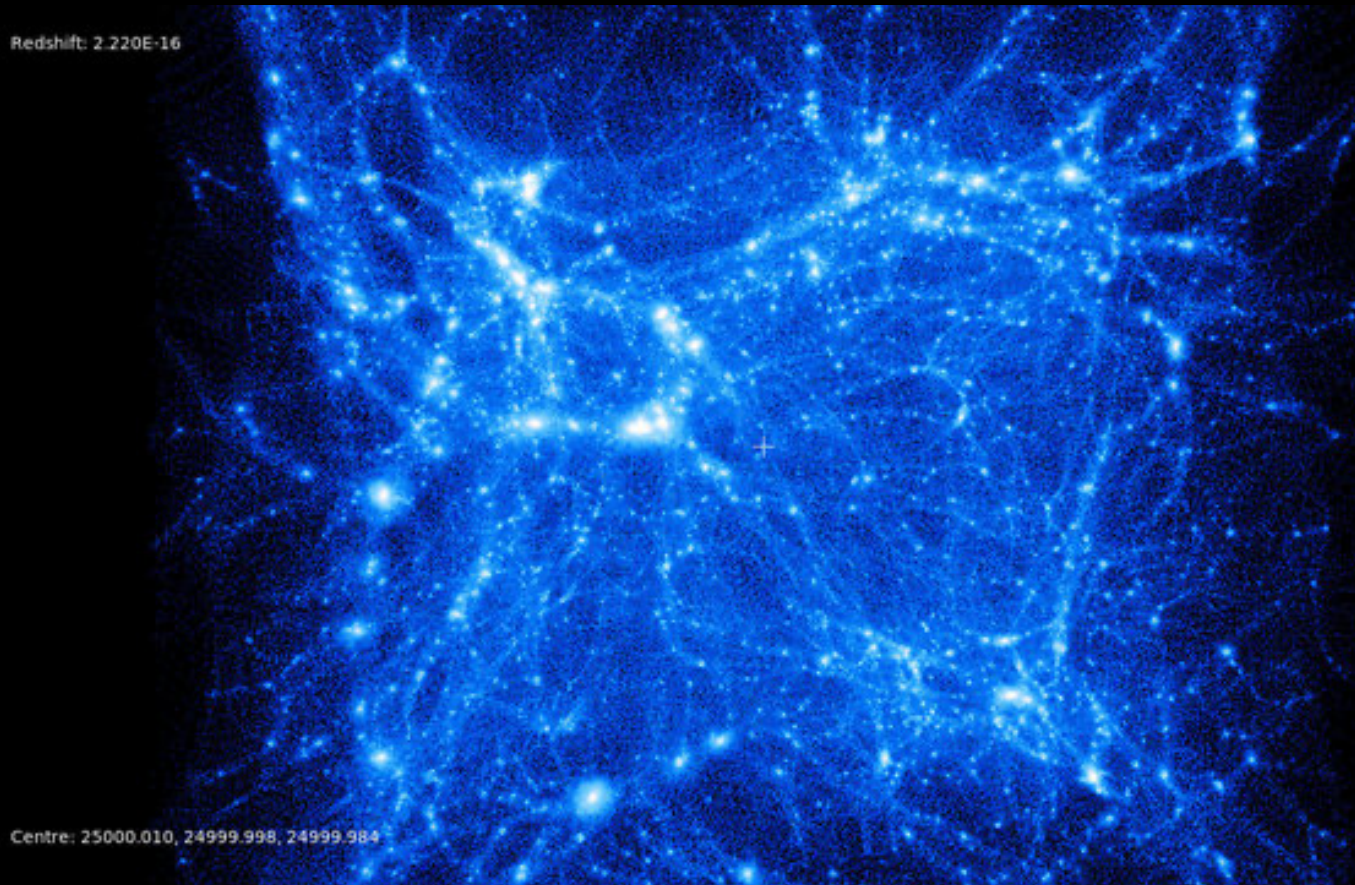


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# What N-body simulations tell us?

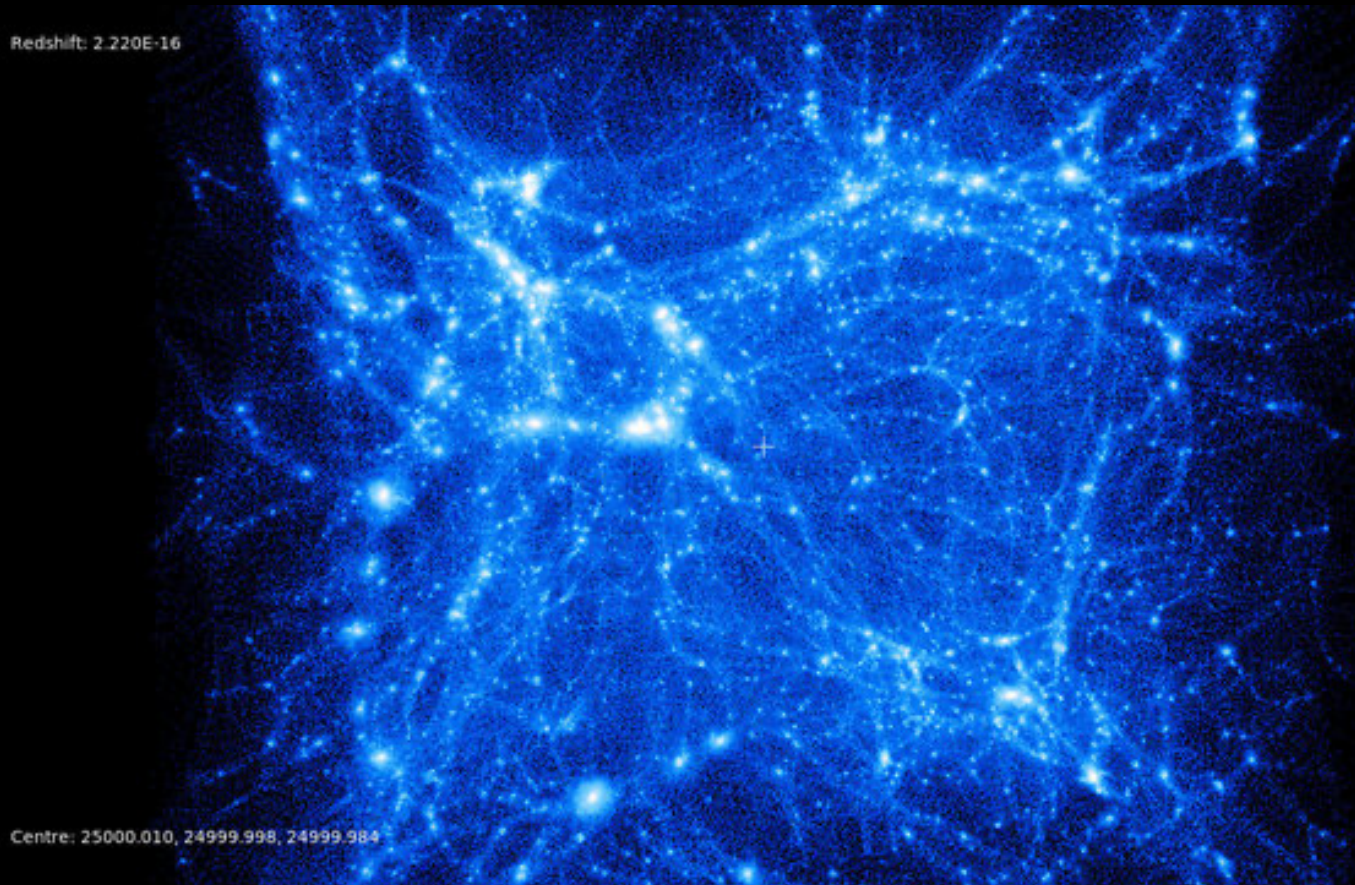


➤ Hierarchical

➤ Anisotropic



# What N-body simulations tell us?



➤ Hierarchical

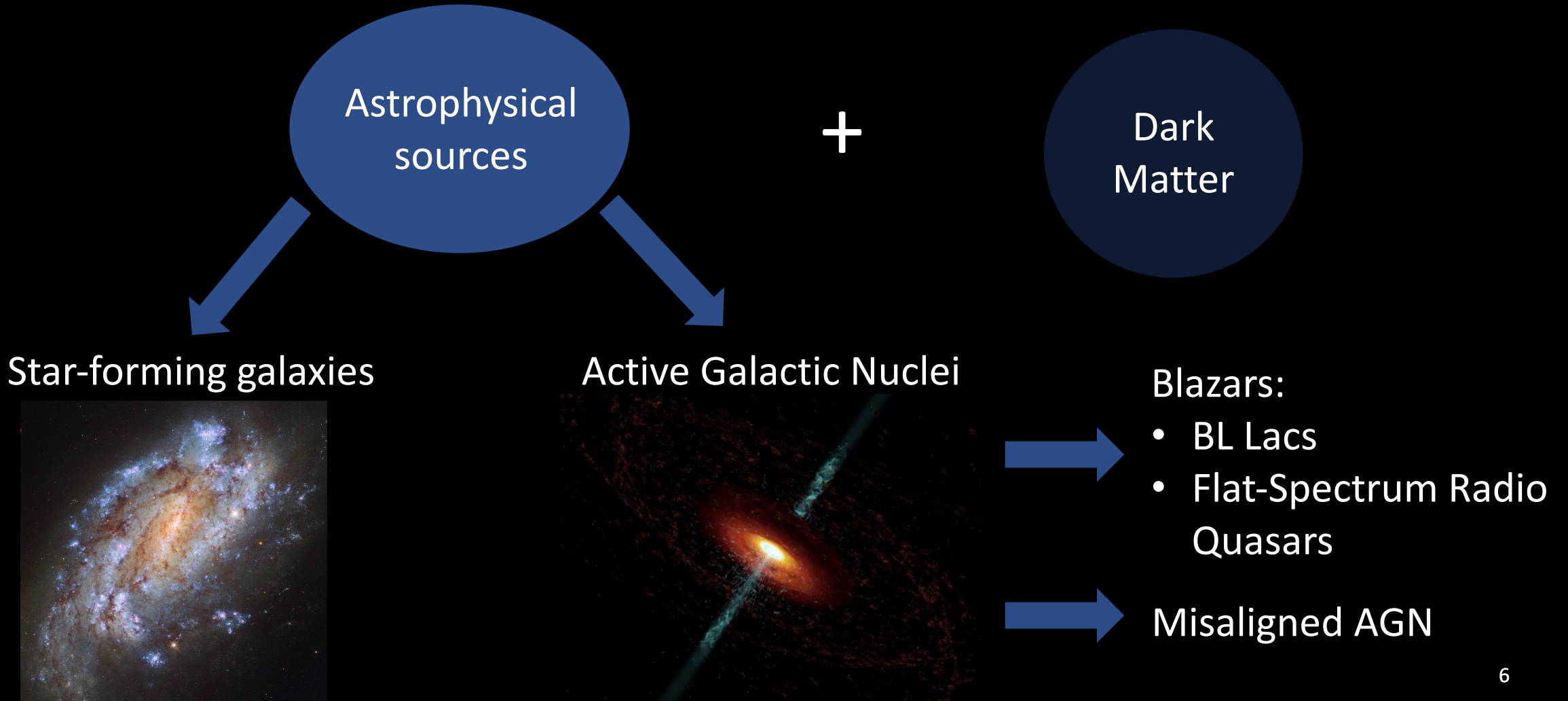
➤ Anisotropic



Anisotropic EM signal



# Unresolved Gamma-Ray Background





# Cross-correlation technique

## Gravitational tracers

Galaxy catalogues

Clusters catalogues

Neutral hydrogen

Weak lensing



## EM signals

•  $\gamma$  rays

• X rays

• IR emission

• Radio waves

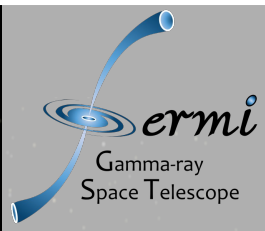
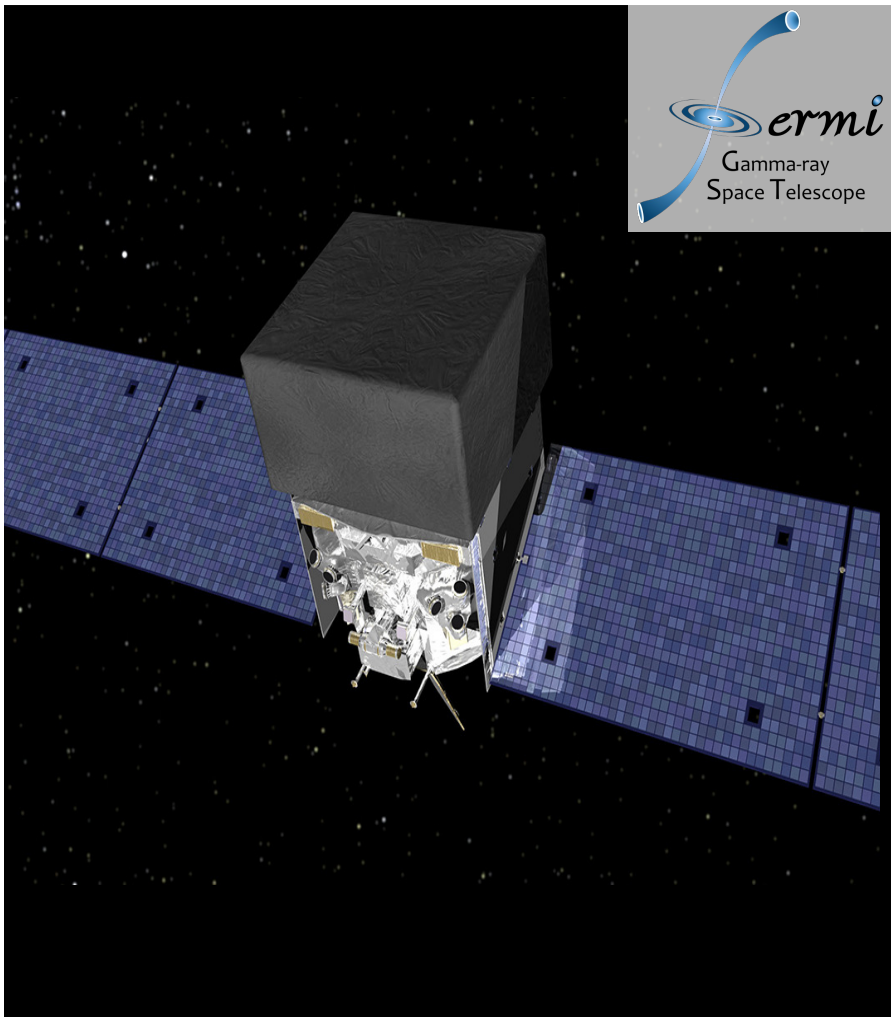
MORE MATTER, I SENSE!



**I'M A PARTICLE, BAZINGA!**



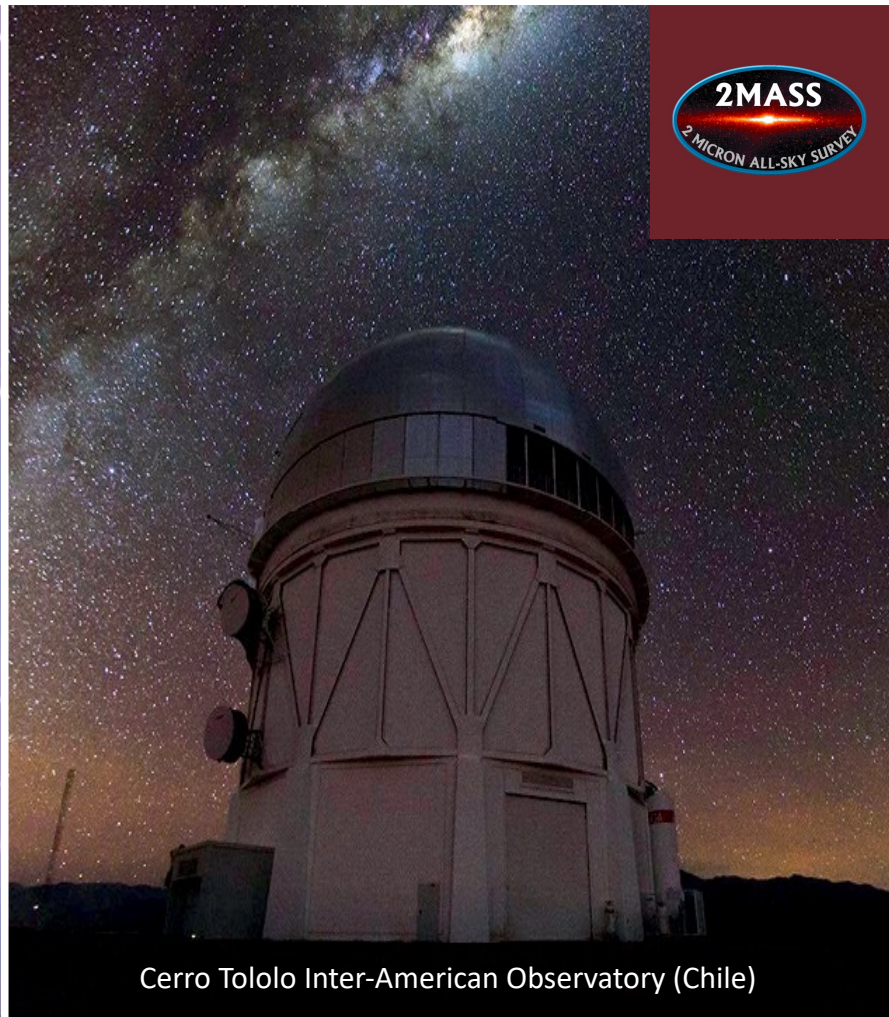
# Experiments



Fermi/Fermissimo



Euclid



Cerro Tololo Inter-American Observatory (Chile)

2MASS



# Angular power spectrum

$I_g(\hat{n})$  = intensity of the source field  $g$

$$\delta I_g = I_g(\hat{n}) - \langle I_g \rangle = \langle I_g \rangle \sum_{\ell m} a_{\ell m} Y_{\ell m}(\hat{n})$$

$$C_{\ell}^{ij} = \frac{1}{2\ell + 1} \left\langle \sum_{m=-\ell}^{\ell} a_{\ell m}^{(i)} a_{\ell m}^{*(j)} \right\rangle$$

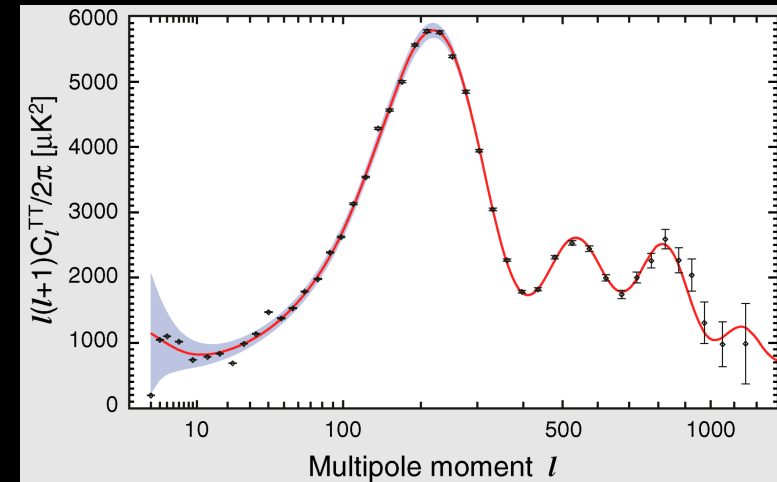


$$C_{\ell}^{ij} = \int \frac{d\chi}{\chi^2} W_i(\chi) W_j(\chi) P_{ij} \left( k = \frac{\ell}{\chi} \right)$$

Window functions

Fourier Power Spectrum

The example of CMB:



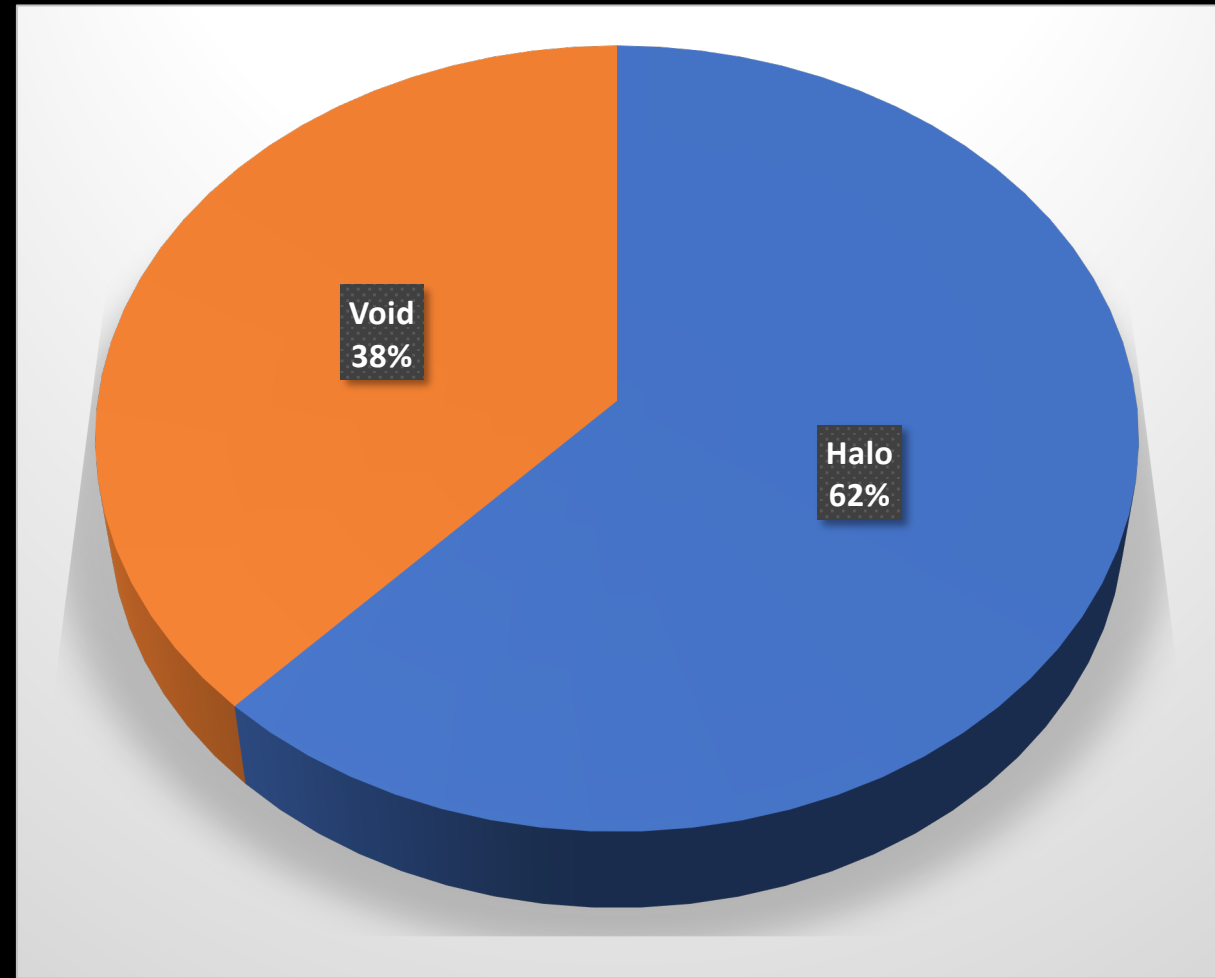




Cosmic voids

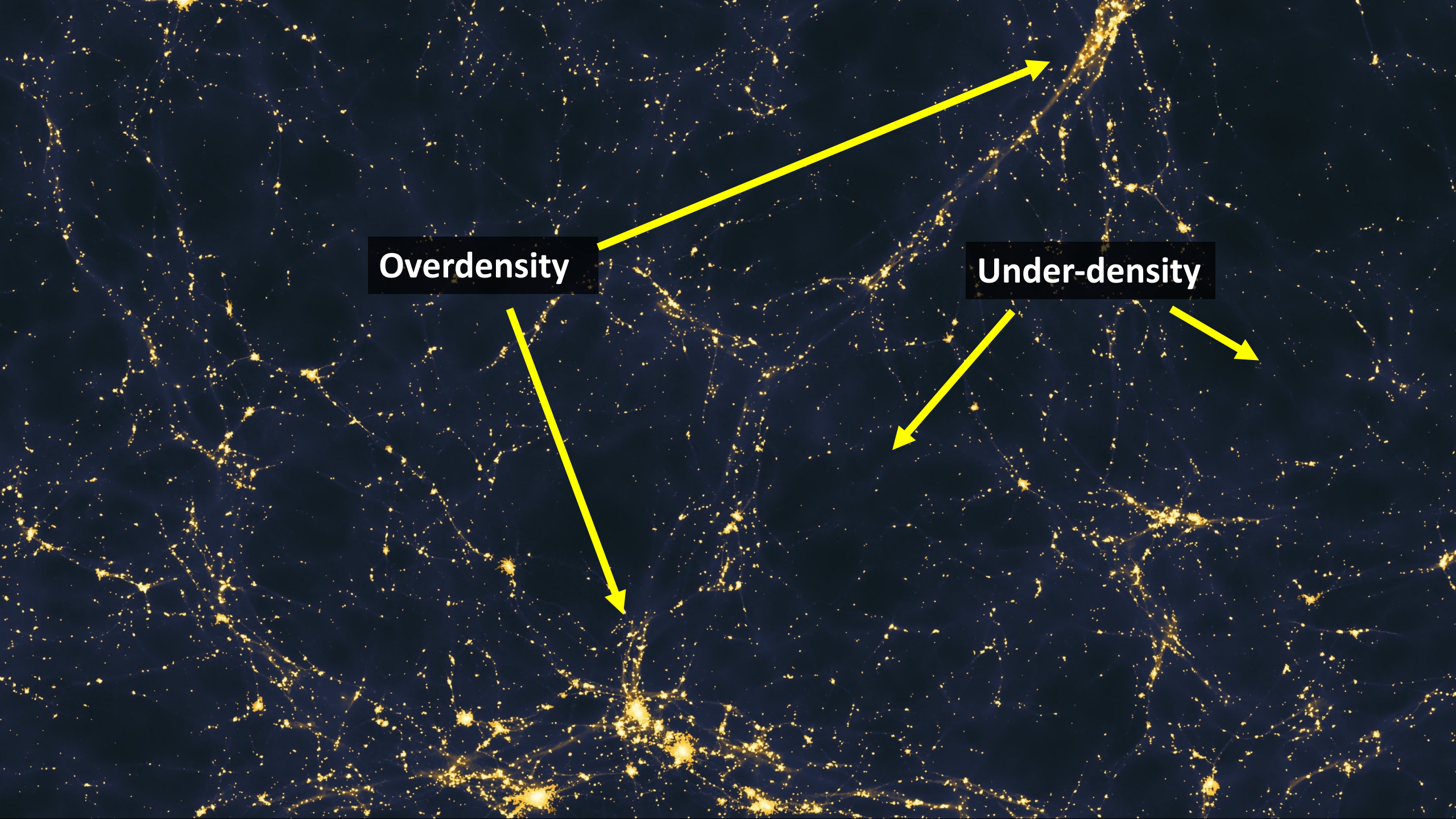


# Cosmic voids



R. Voivodic et al, JCAP 10 (2020) 033, arXiv: 2003.06411



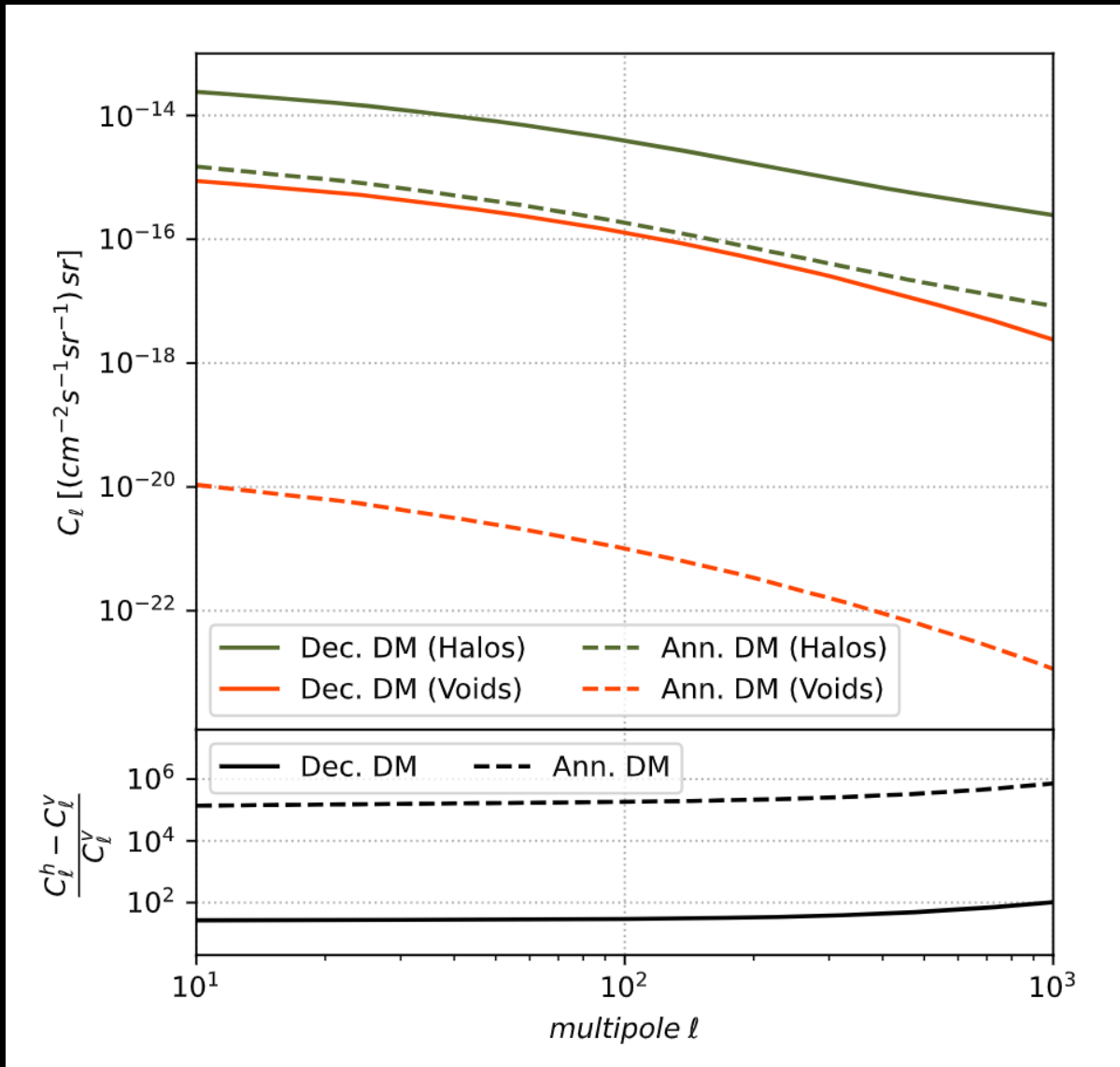


**Overdensity**

**Under-density**



# Halos VS Voids



$$m_\chi = 100 \text{ GeV}$$

$$\langle\sigma v\rangle = 3 \times 10^{-26} \text{ cm}^3/\text{s}$$

Channel:  $b\bar{b}$

$$\tau = 3 \times 10^{27} \text{ s}$$



# What do we learn?

- 1 Cosmic voids can be useful to search for **decaying dark matter**

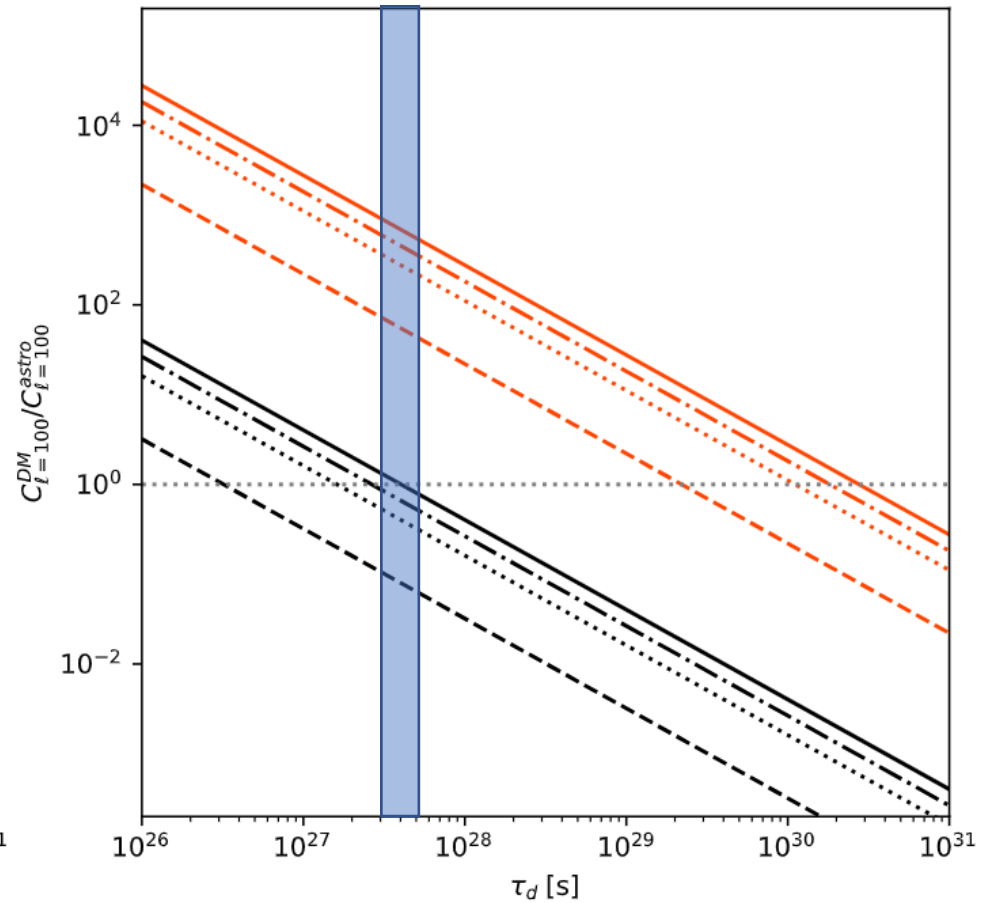
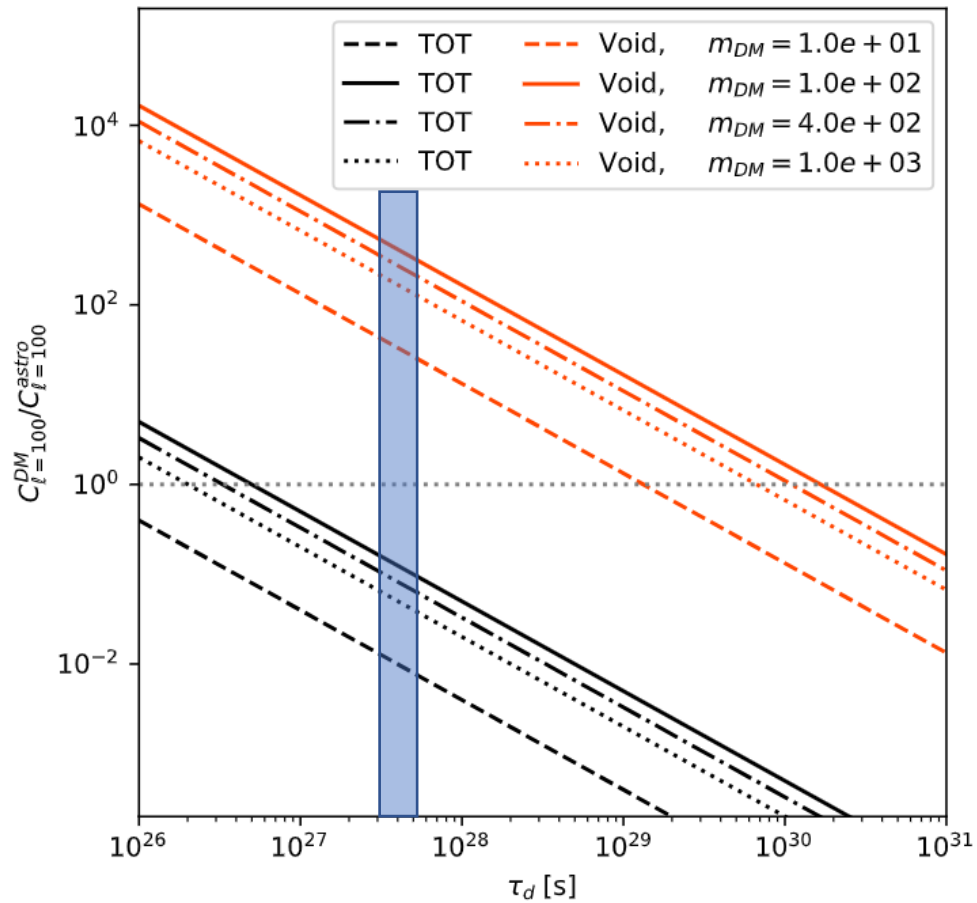




# Halos vs Voids

## Weak lensing

## Galaxies



# What do we learn?

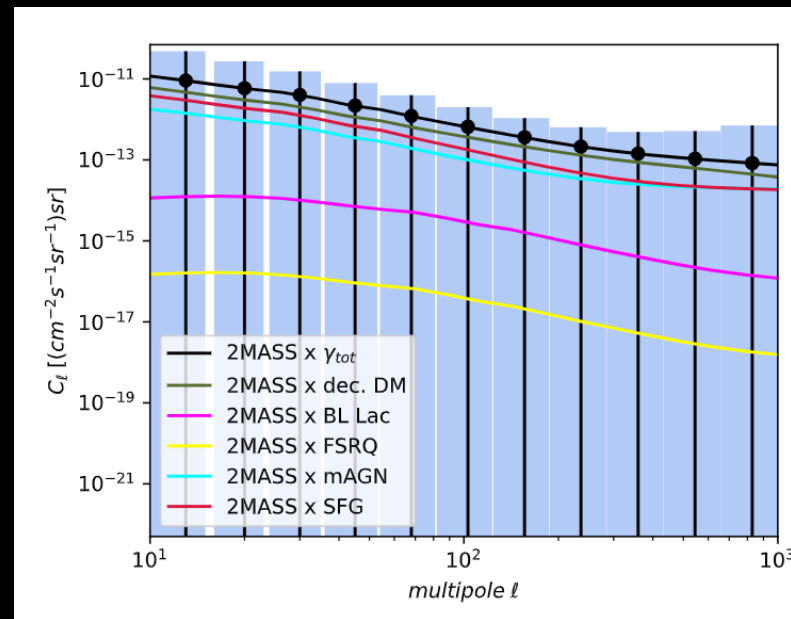
- ① Cosmic voids can be useful to search for **decaying dark matter**
- ② **Background free** environment



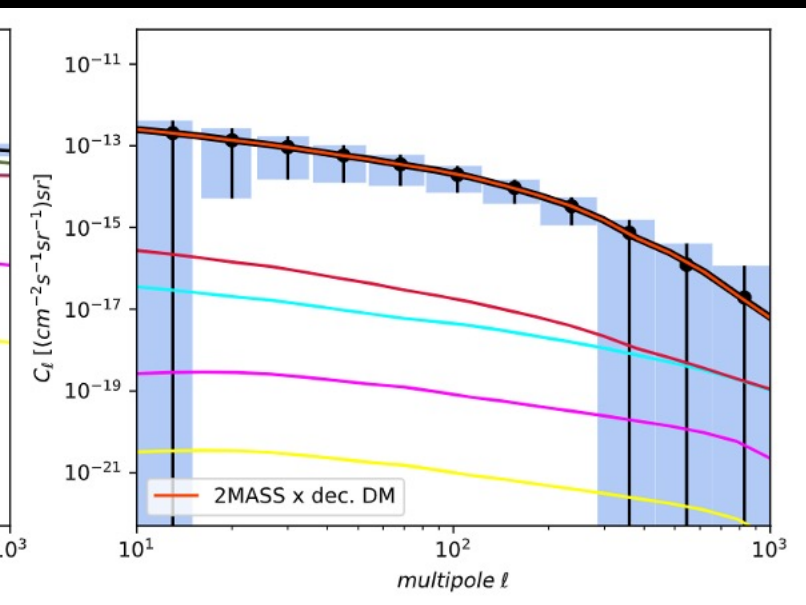
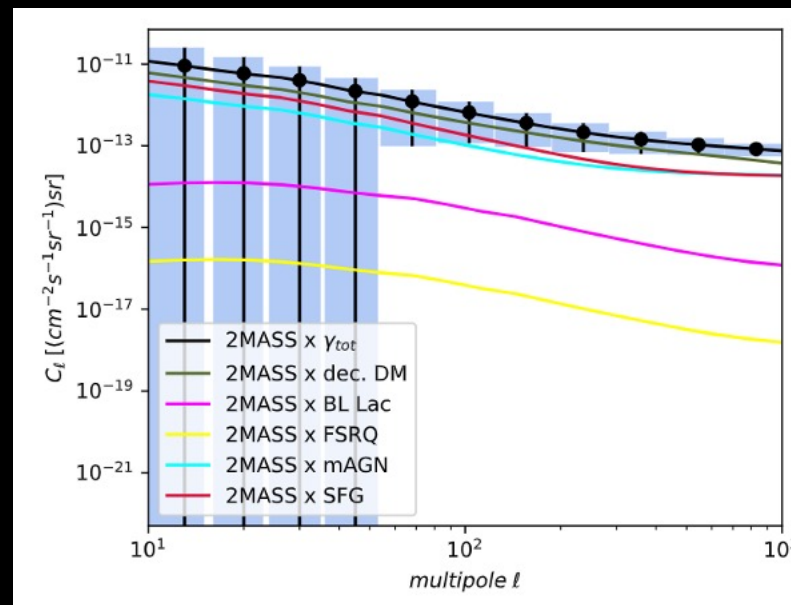
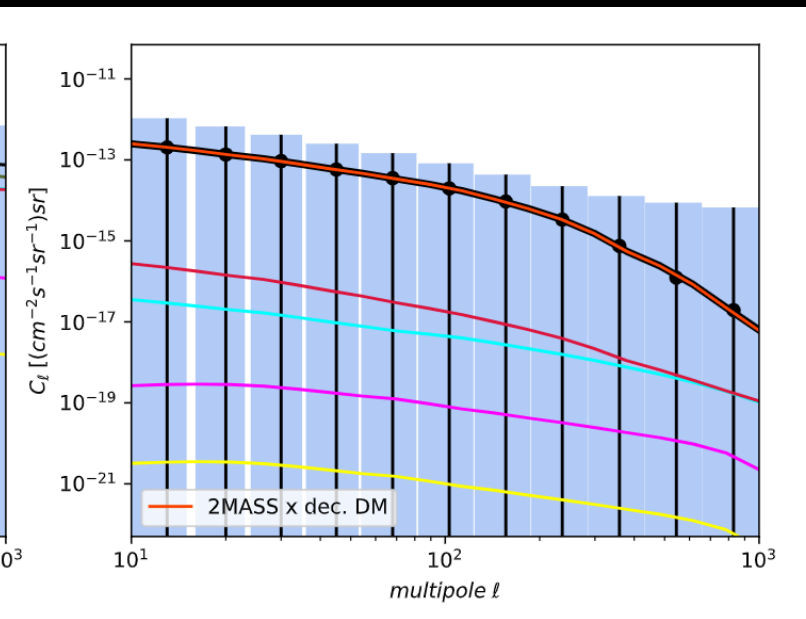


# Angular Power Spectrum

## Halos



## Voids



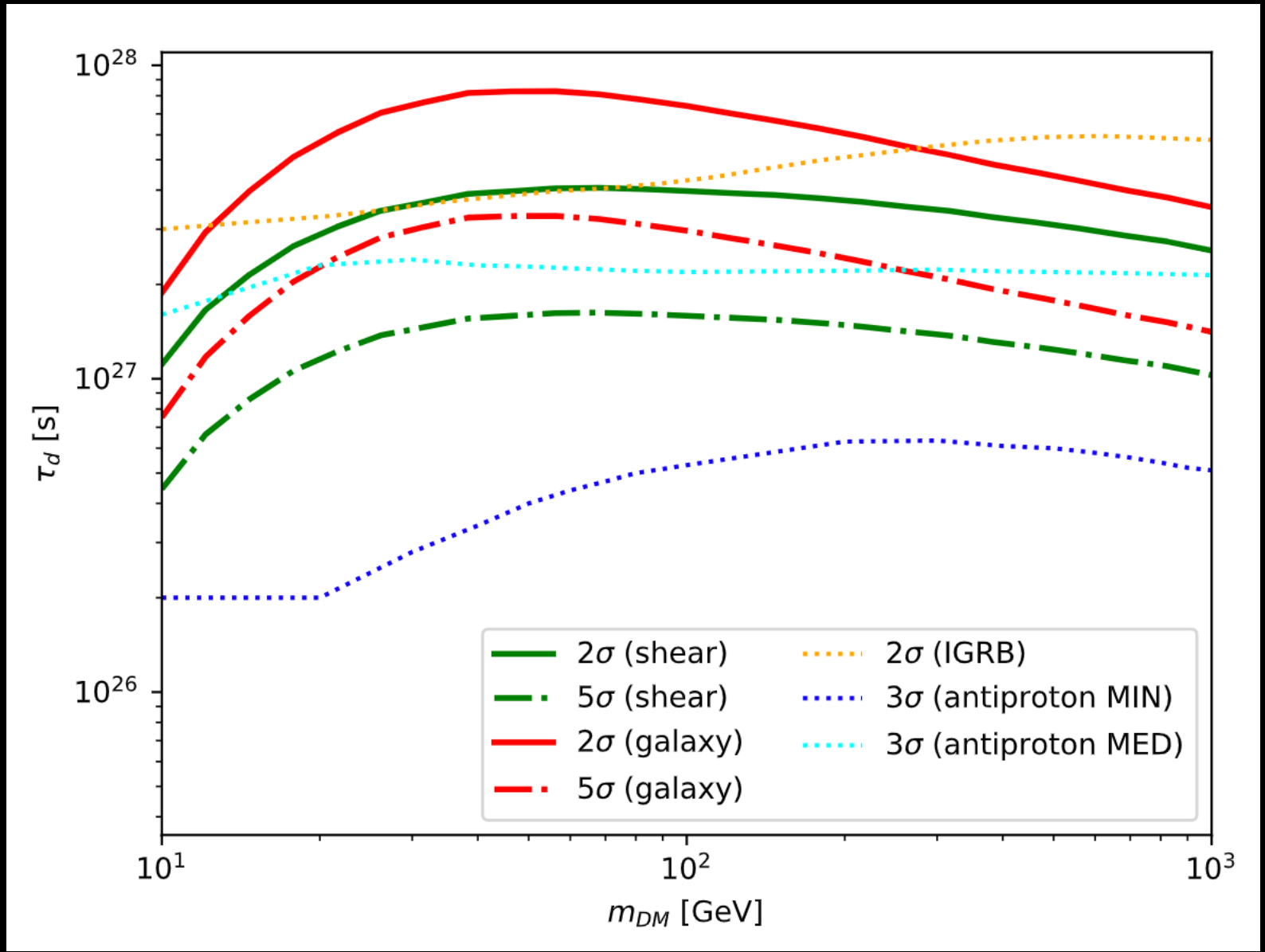
# What do we learn?

- ① Cosmic voids can be useful to search for **decaying dark matter**
- ② **Background free** environment
- ③ **Next-generation** gamma-ray detector for a clean **detection**





# Dark matter constraints



Blanco & Hooper, JCAP 03 (2019), 019 arXiv:1811.05988

N. Fornengo, L. Maccione and A. Vittino, JCAP 1404 (2014) 003, arXiv:1312.3579.



An eye toward the future



# Neutral hydrogen

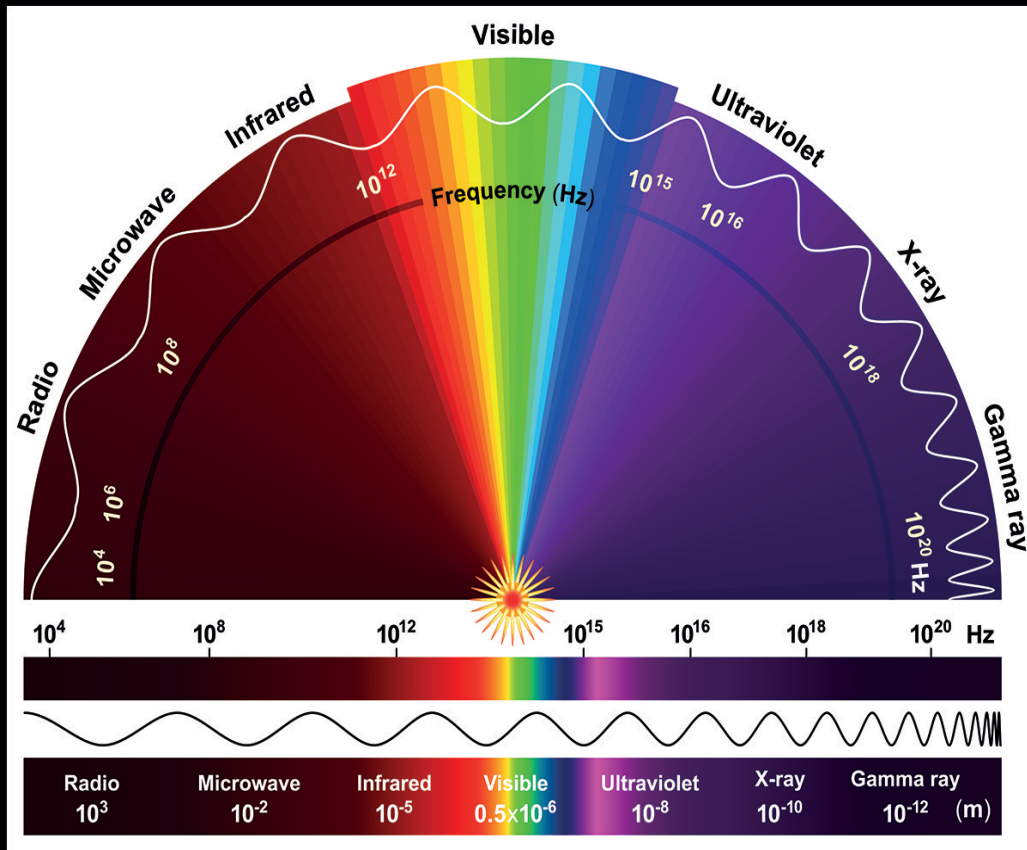
The background of the slide is a photograph showing the silhouettes of numerous radio telescope dishes against a bright orange and yellow sunset sky. The dishes are arranged in a field, with one large dish in the foreground being particularly prominent. The sky transitions from a deep orange near the horizon to a dark blue at the top.

Most powerful radio telescope ever built:  
great redshift and angular resolution

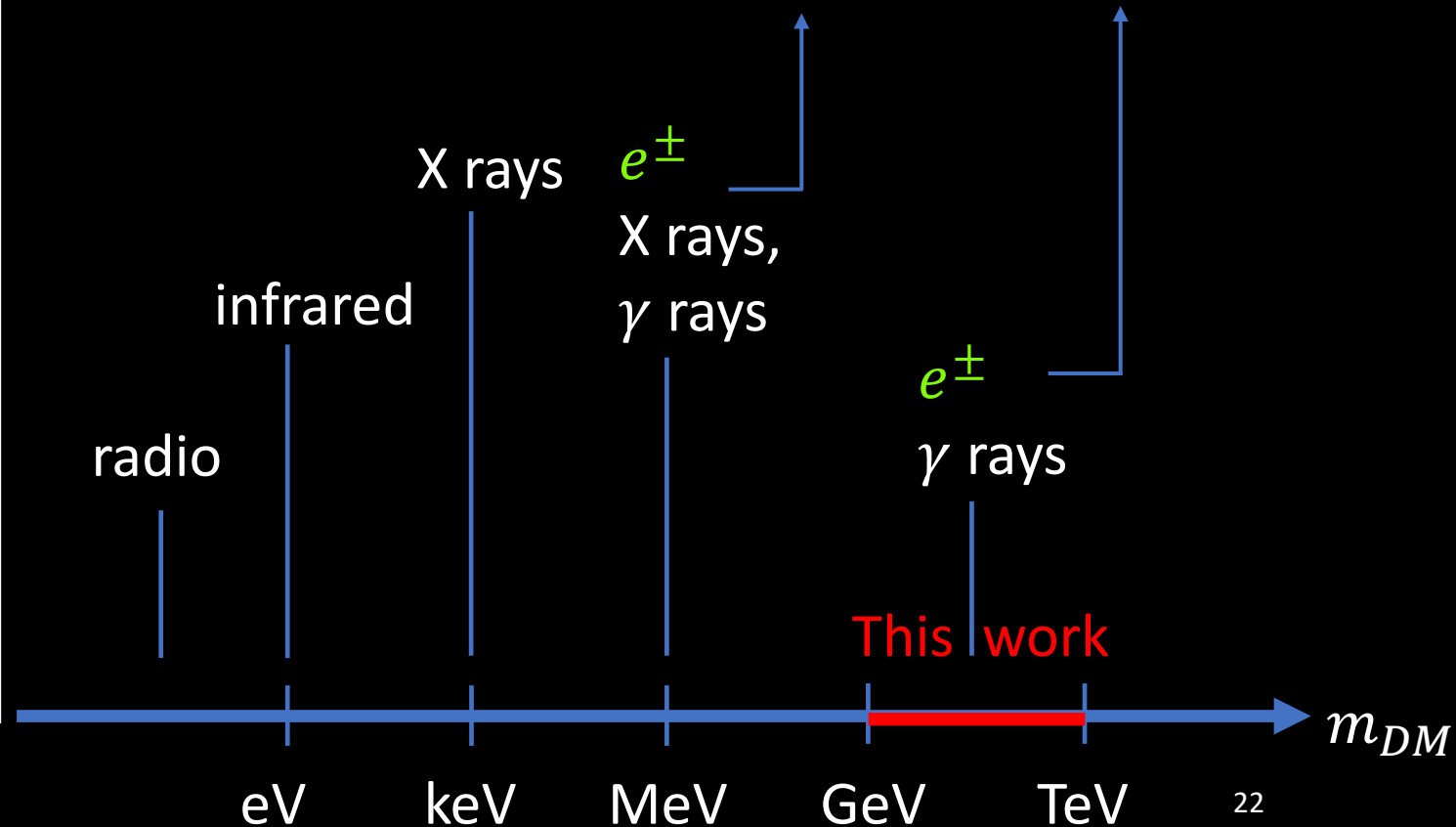
Galaxy surveys

21cm Intensity Mapping

# Different signals/candidates



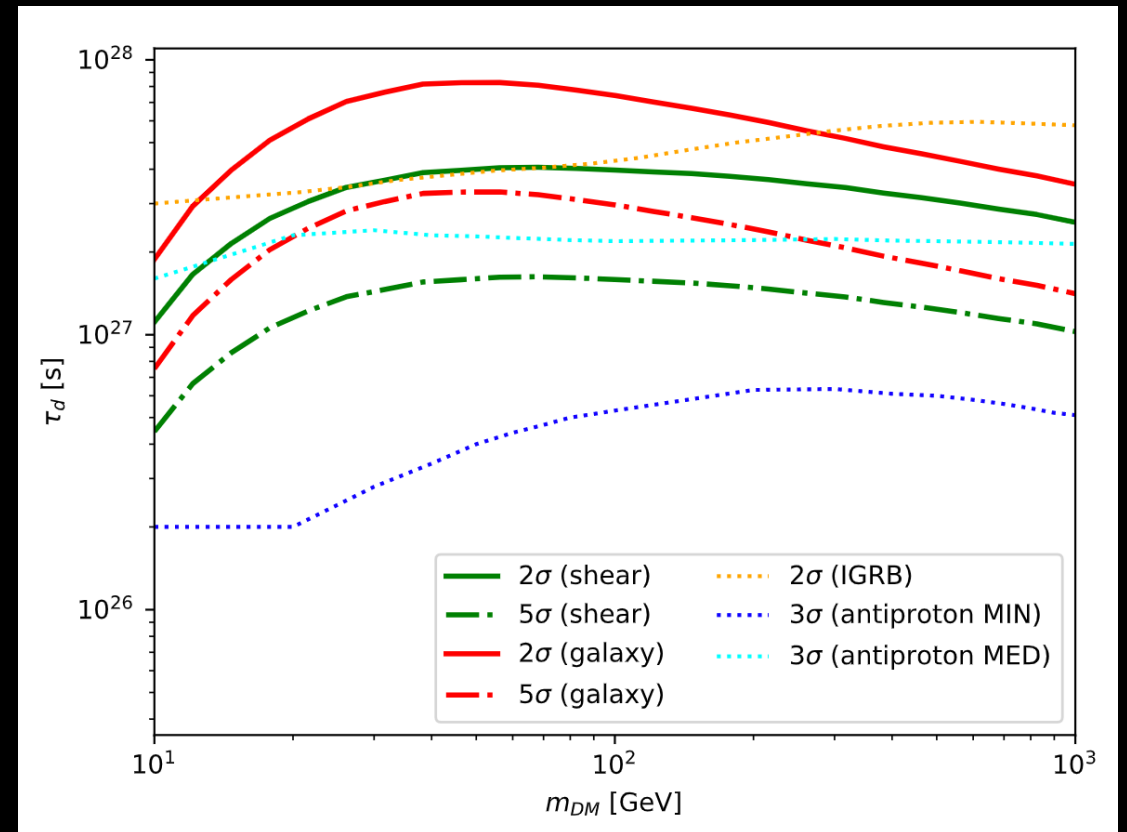
X rays,  $\gamma$  rays: IC on CMB and on the ISRF  
 radio: synchrotron on ambient magnetic fields





# Conclusions

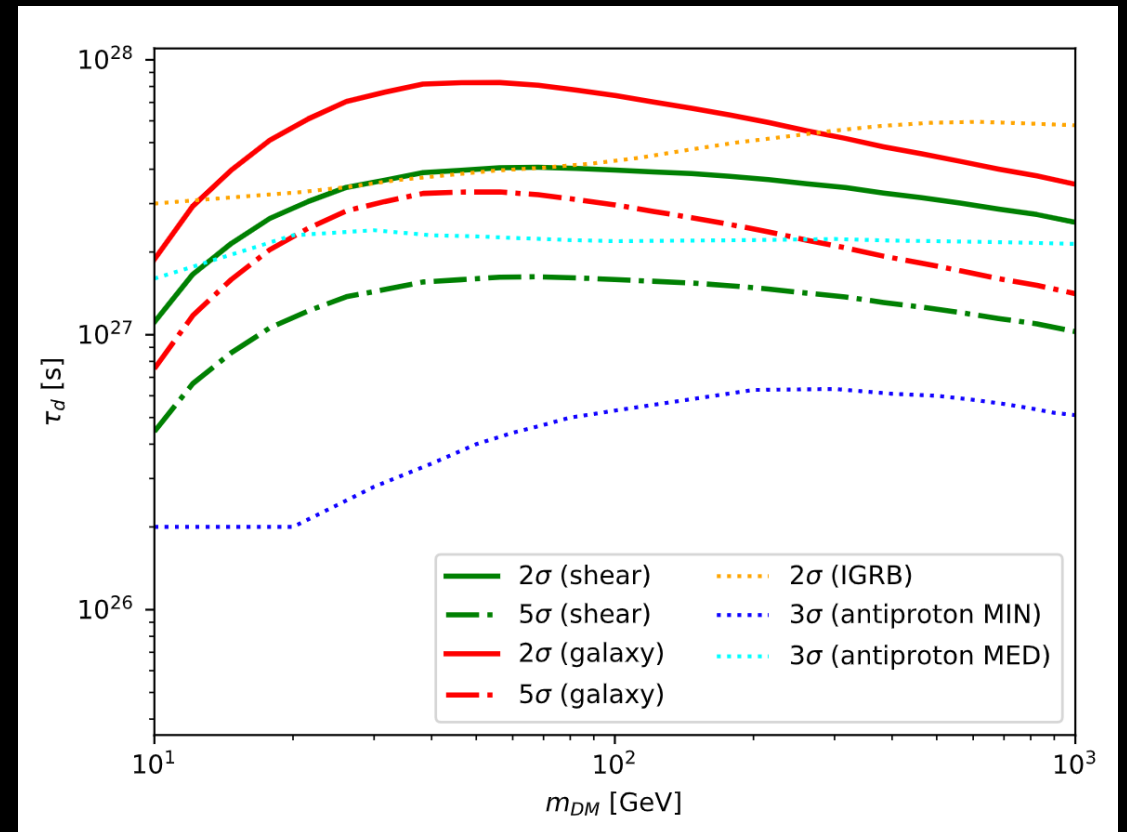
- 1 Cosmic voids are an interesting probe for dark matter searches
- 2 A decaying dark matter signal is expected to be up to 4 odg higher than the astrophysical background
- 3 Further study with different detectors and different signals are recommended



# Conclusions

*Thank you for  
your attention!*

- 1 Cosmic voids are an interesting probe for dark matter searches
- 2 A decaying dark matter signal is expected to be up to 4 odg higher than the astrophysical background
- 3 Further study with different detectors and different signals are recommended

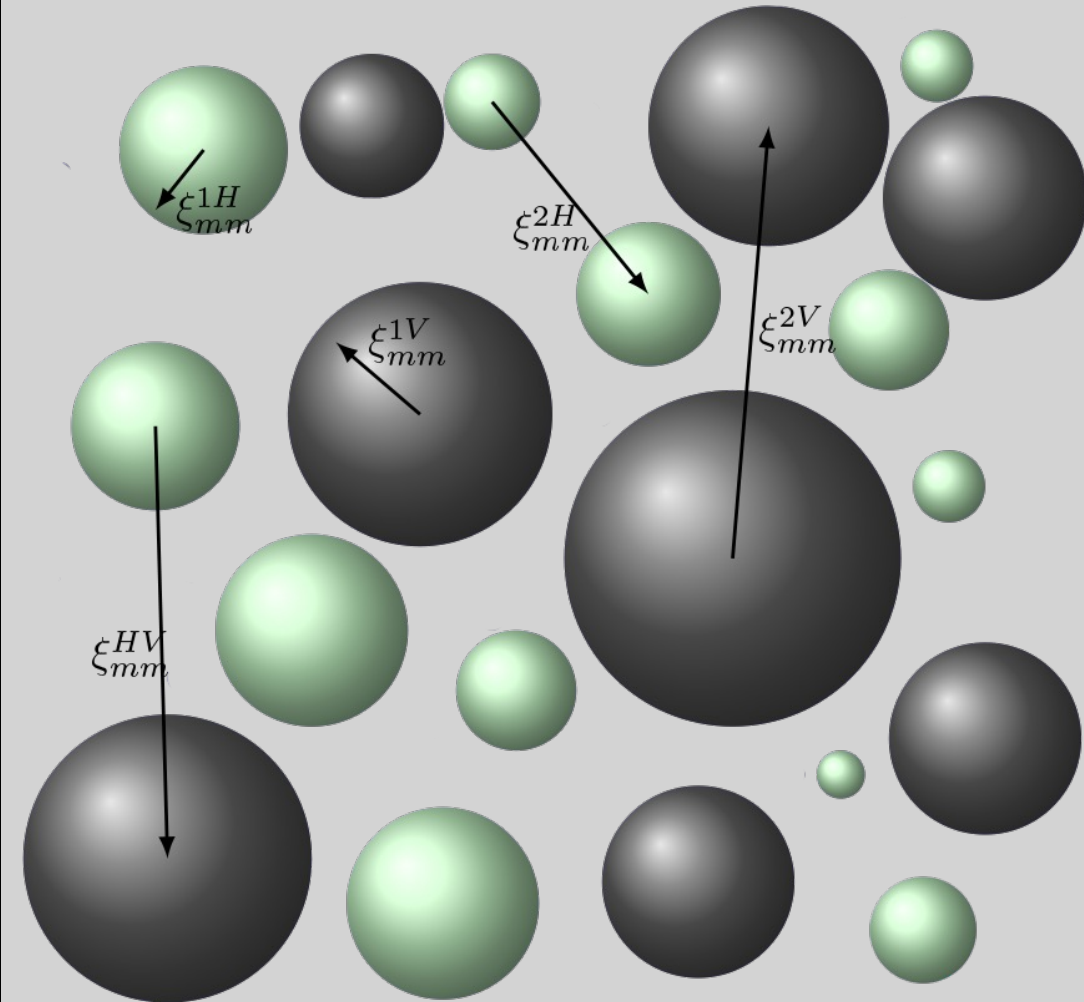




# Back-up slides

# Fourier Power Spectrum

$$P_{ij} = P_{ij}^{1H} + P_{ij}^{2H} + P_{ij}^{1V} + P_{ij}^{2V} + P_{ij}^{HV}$$



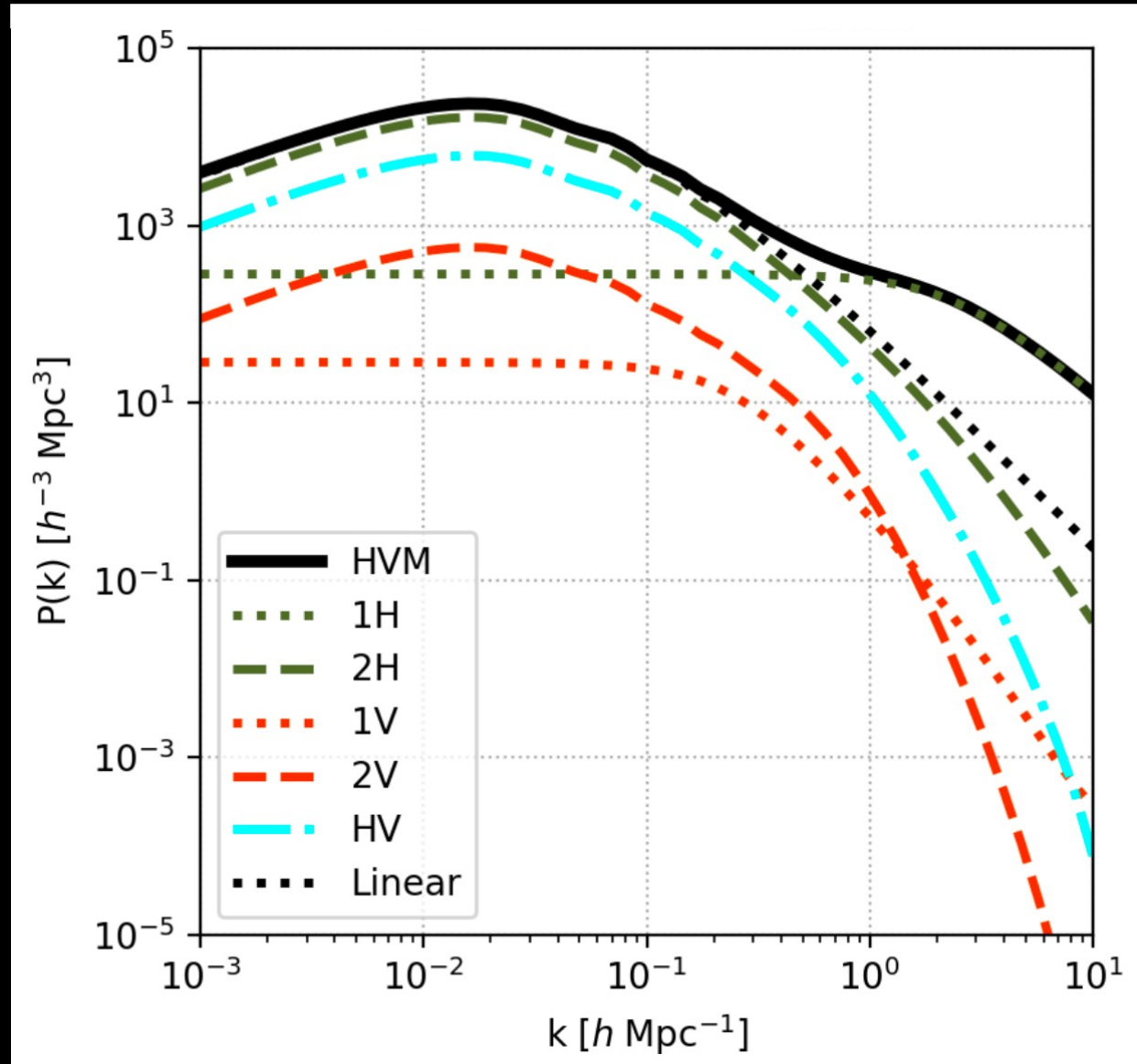


# Fourier Power Spectrum

Large scales



Small scales

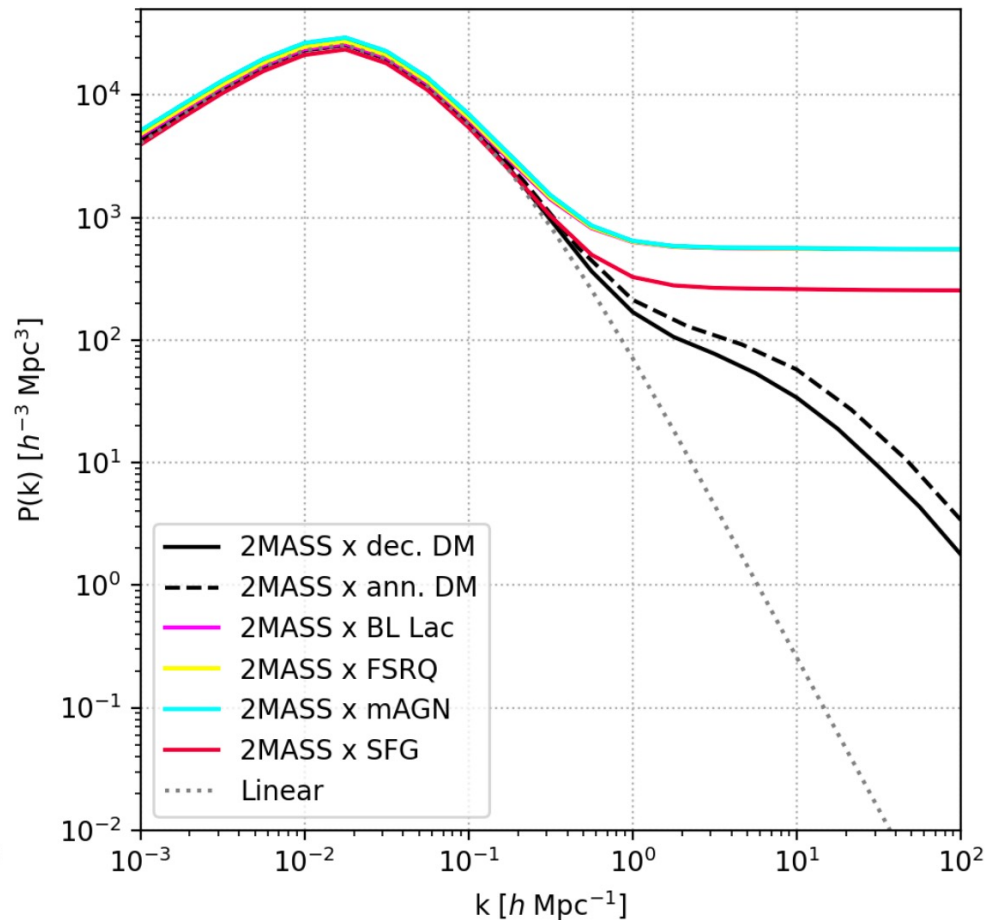
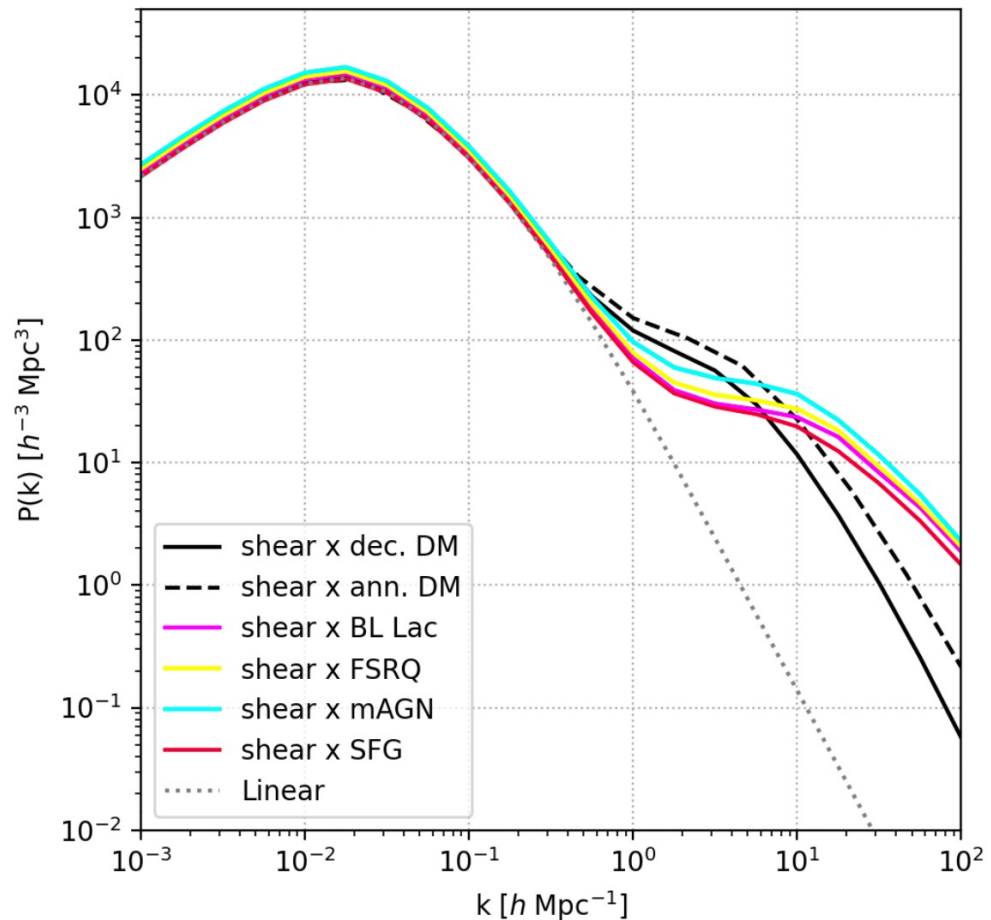


# Fourier Power Spectrum

Large scales

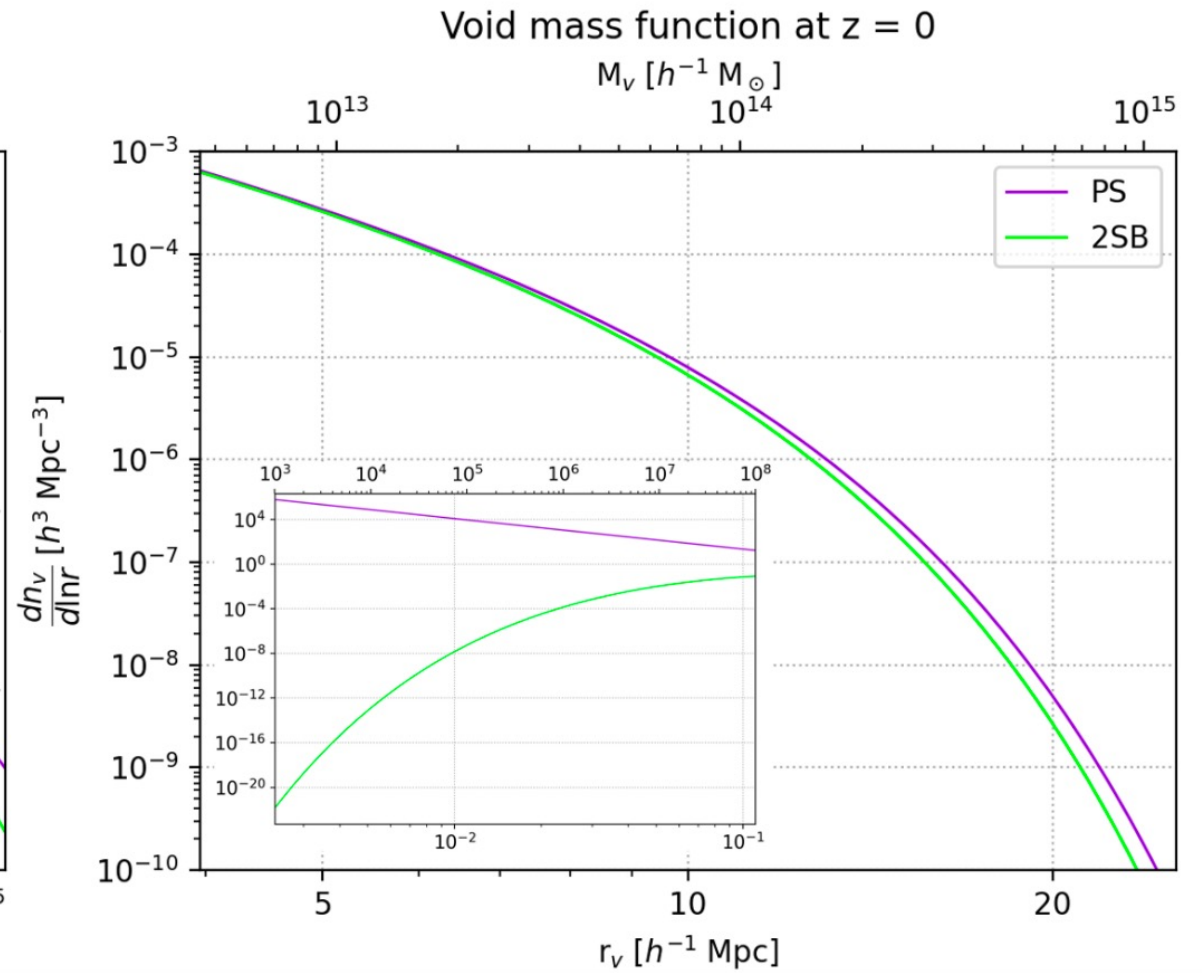
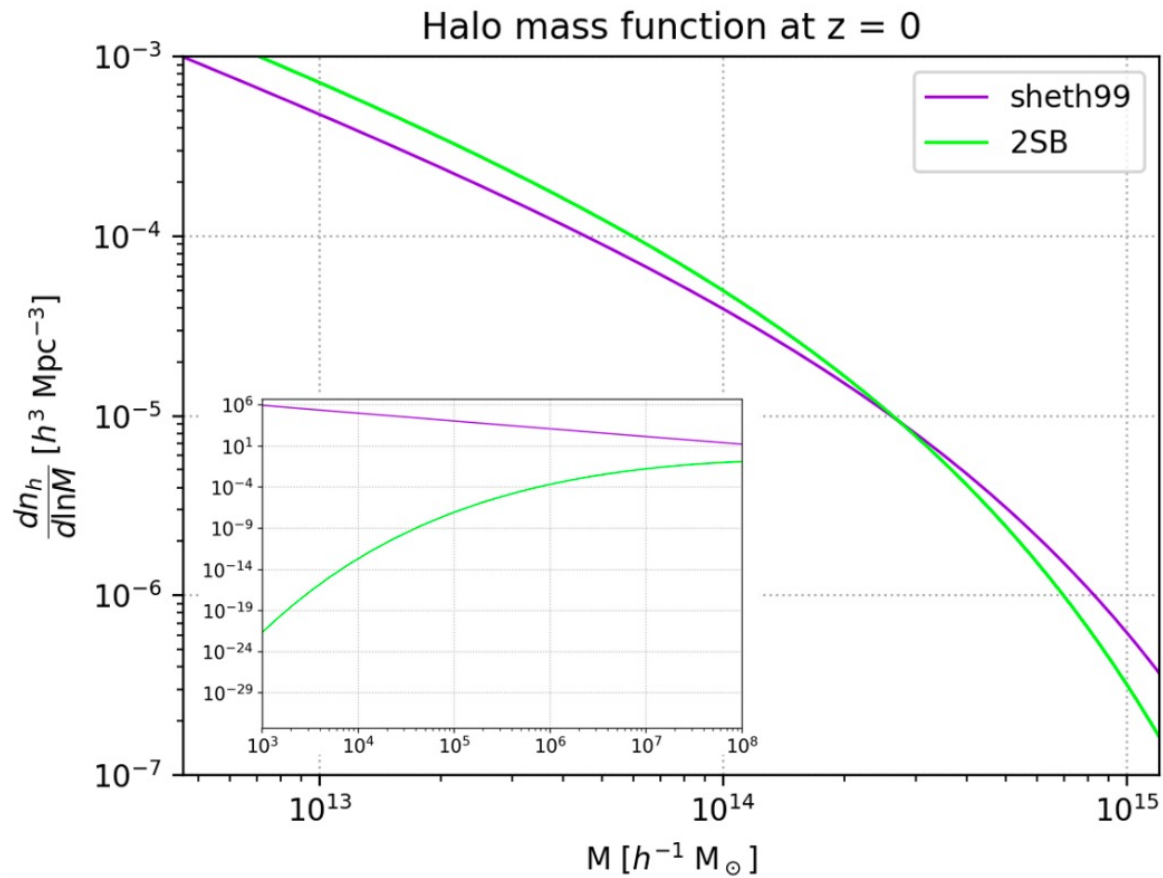


Small scales

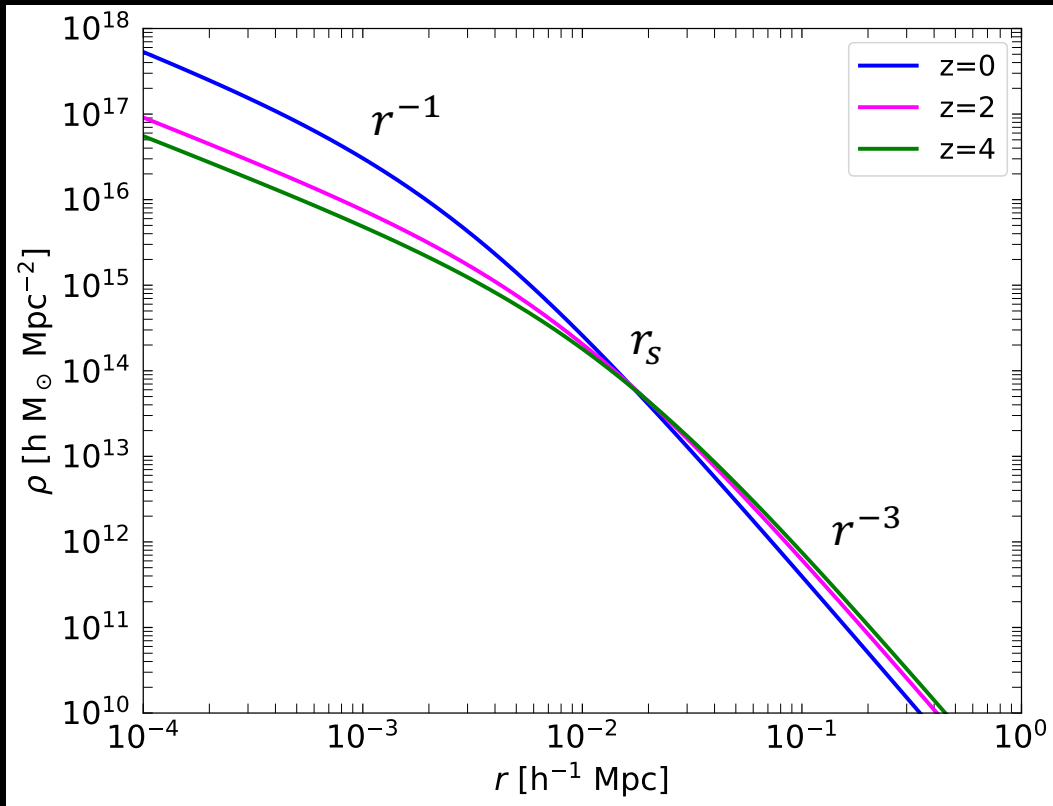




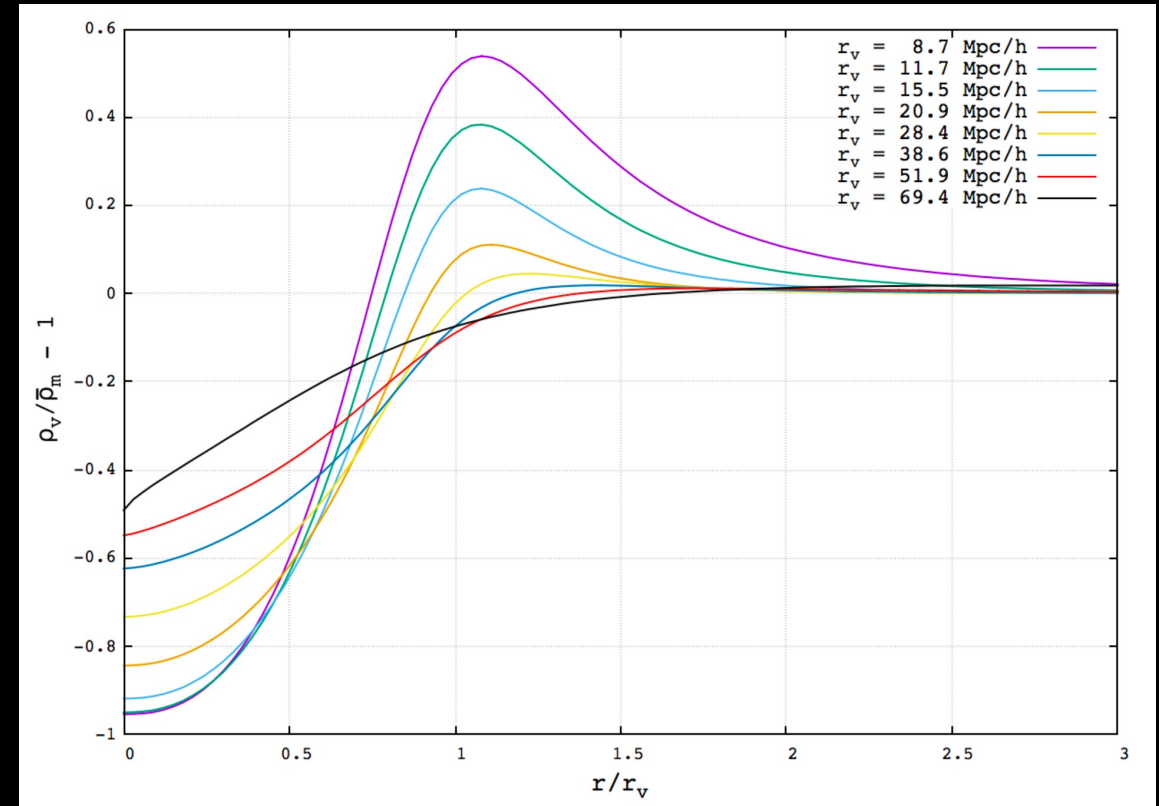
# Mass function



# Density profile



Halo: Navarro-Frenk-White



Void: Hamaus-Sutter-Wandelt



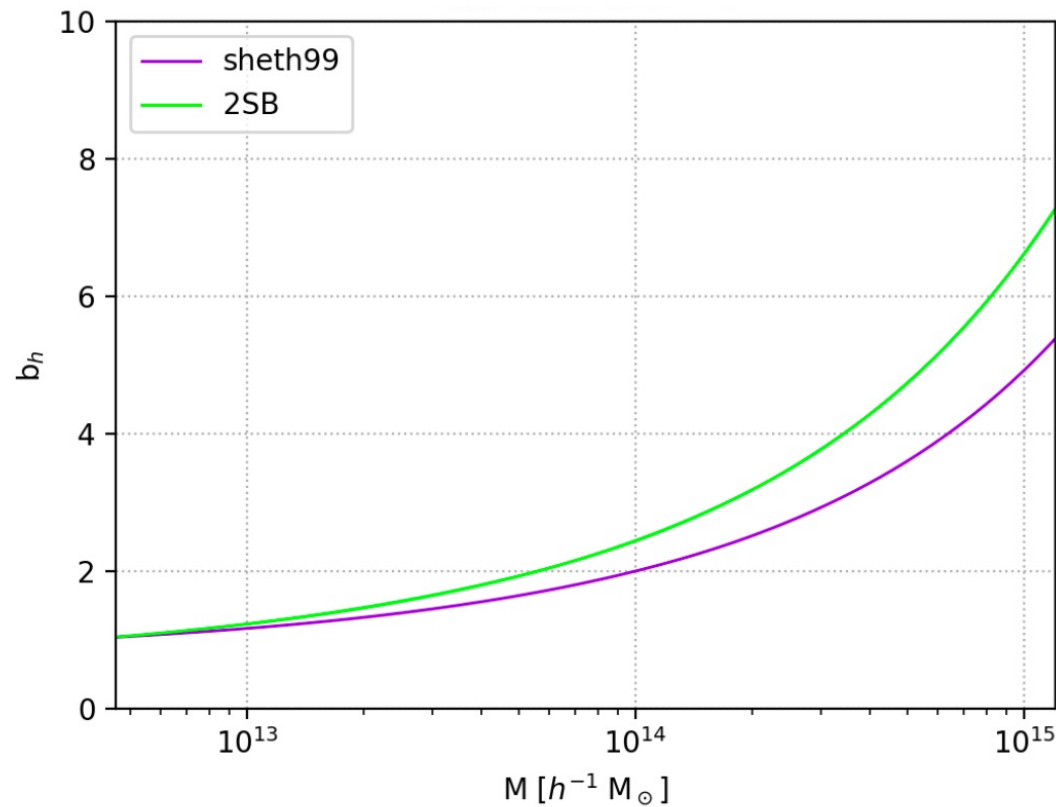
# Bias

$$\delta_{h/v}(x) = b_{h/v}(M, z) \delta(x)$$

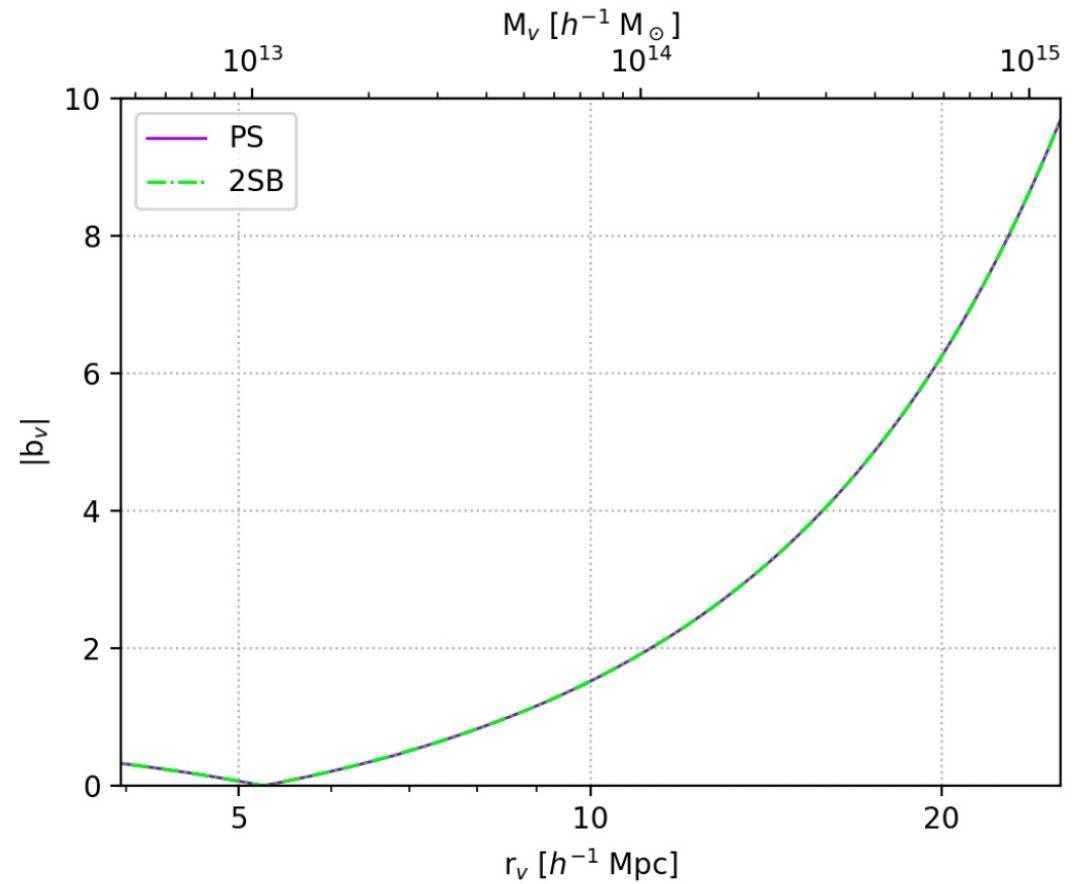
Halo/void density contrast

Bias

Matter density contrast



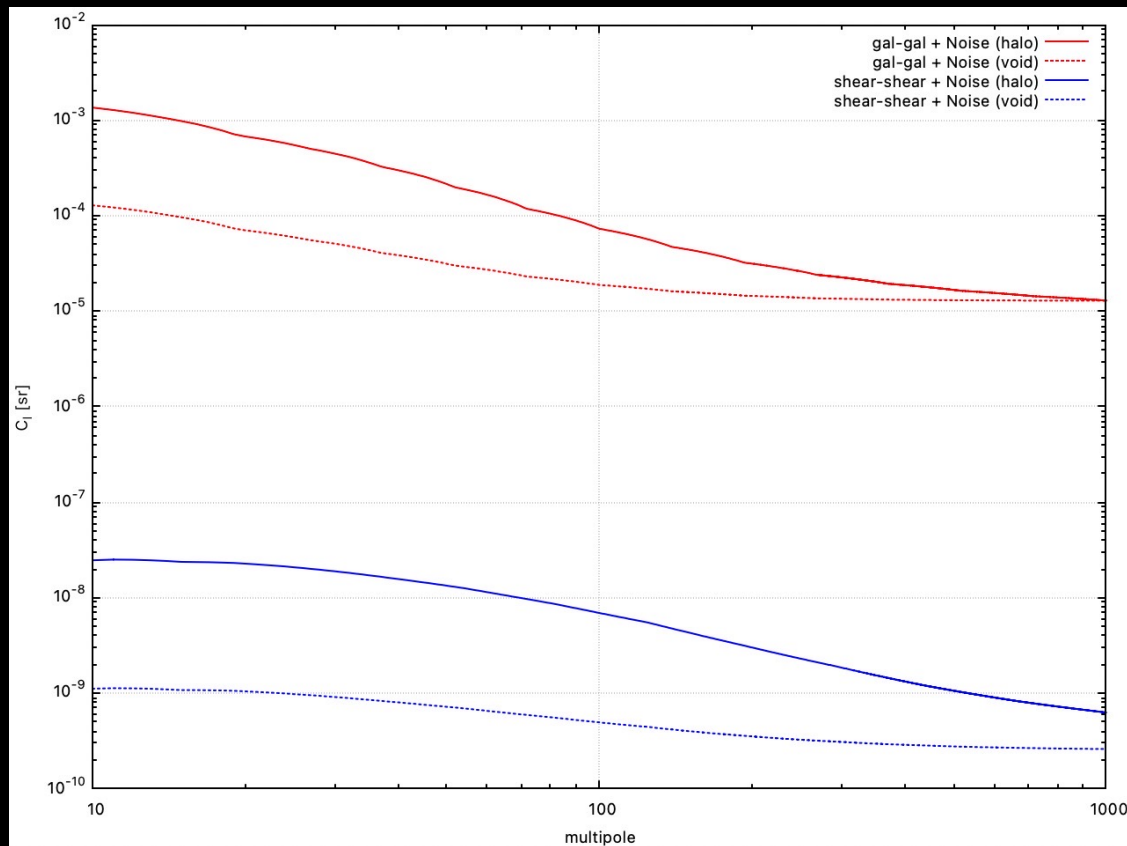
Halo bias



Void bias

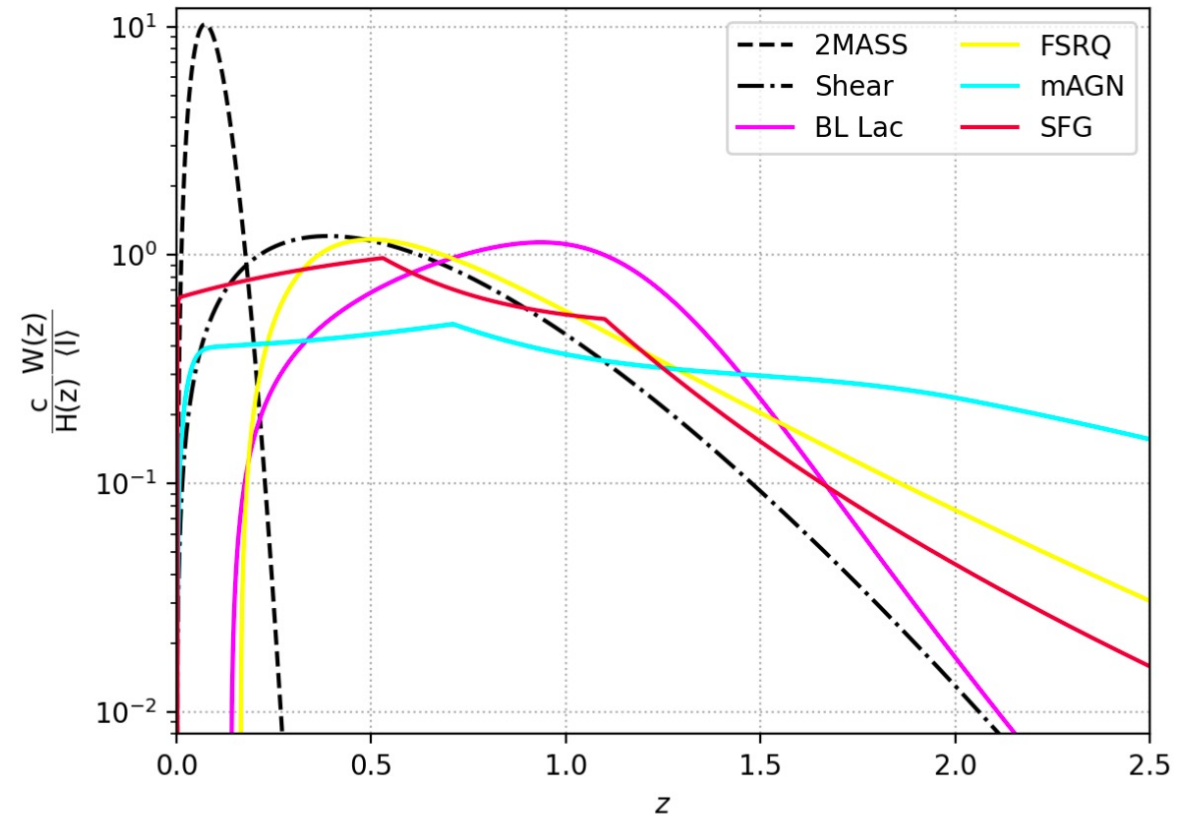
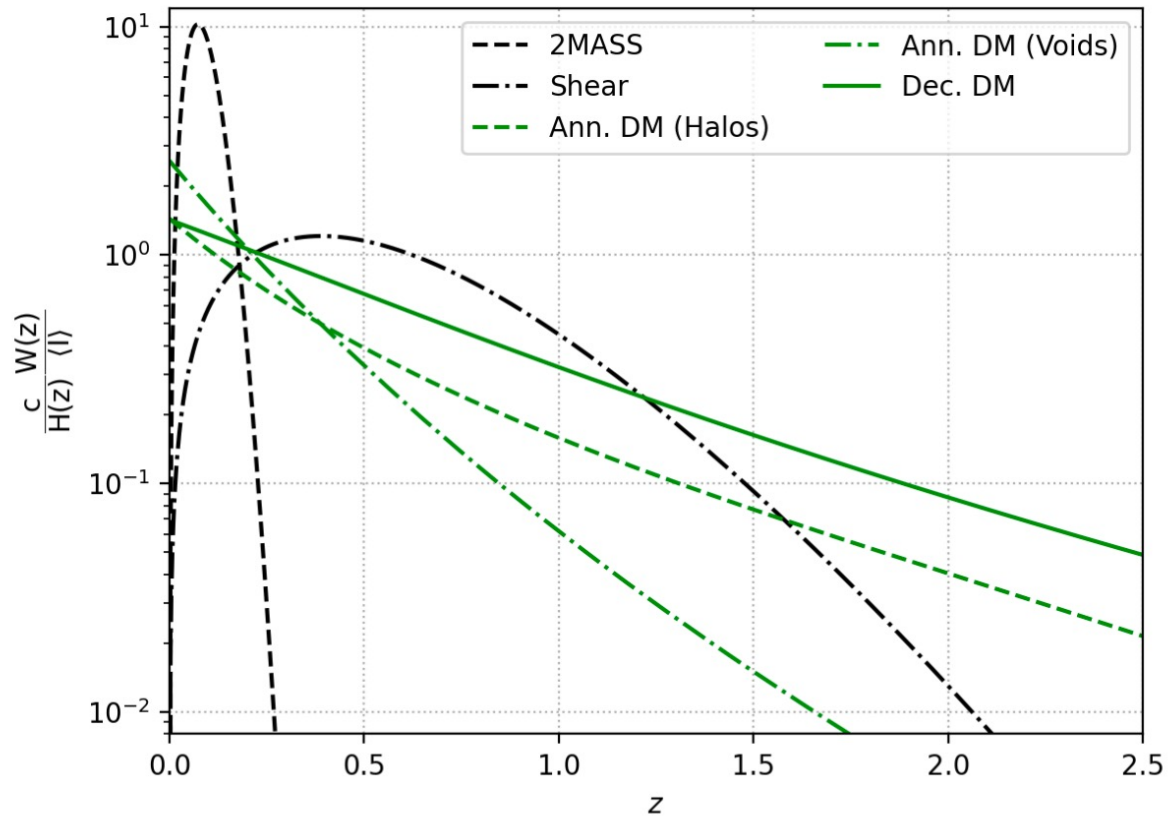
# Variance of the signal

$$\Delta C_\ell^{g \times \gamma} = \sqrt{\frac{1}{(2\ell + 1) f_{sky}} \left[ (C_\ell^{g \times \gamma})^2 + \left( C_\ell^{\gamma \gamma} + \frac{N_\gamma}{B_{\ell, \gamma}^2} \right) \left( C_\ell^{g \times g} + \frac{N_g}{B_{\ell, g}^2} \right) \right]}$$



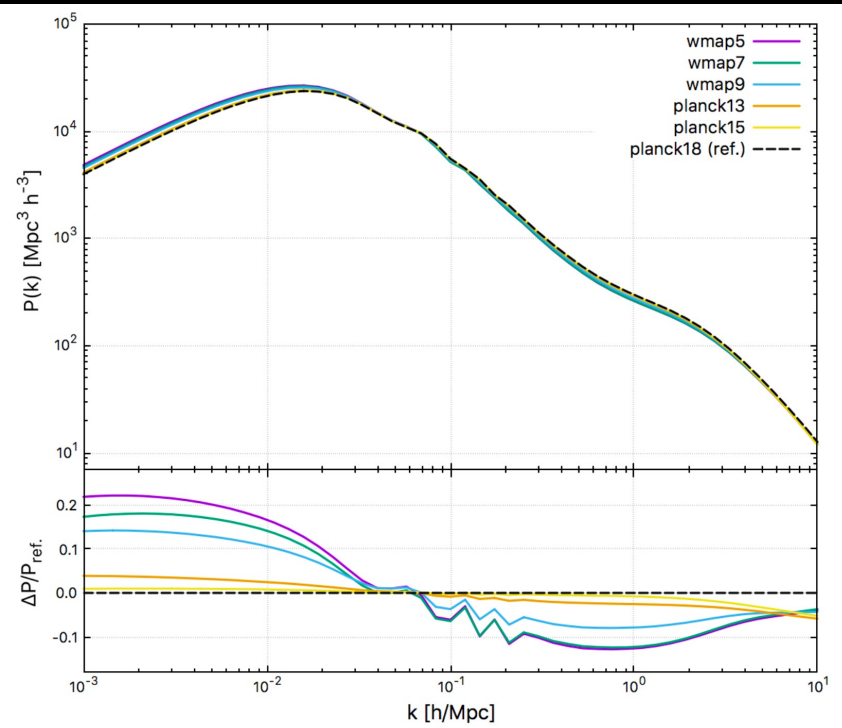


# Window functions

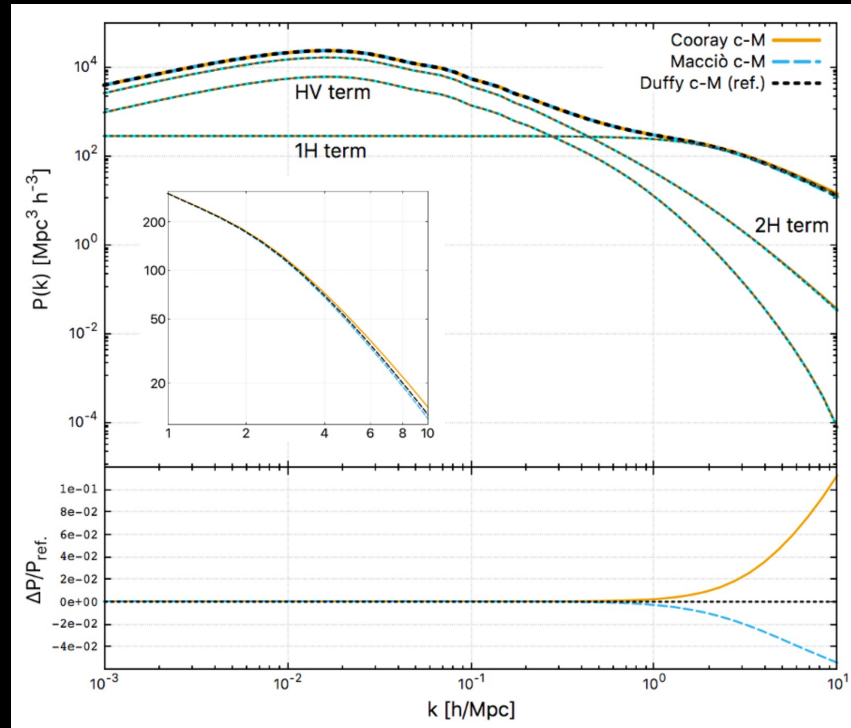


# Model dependencies

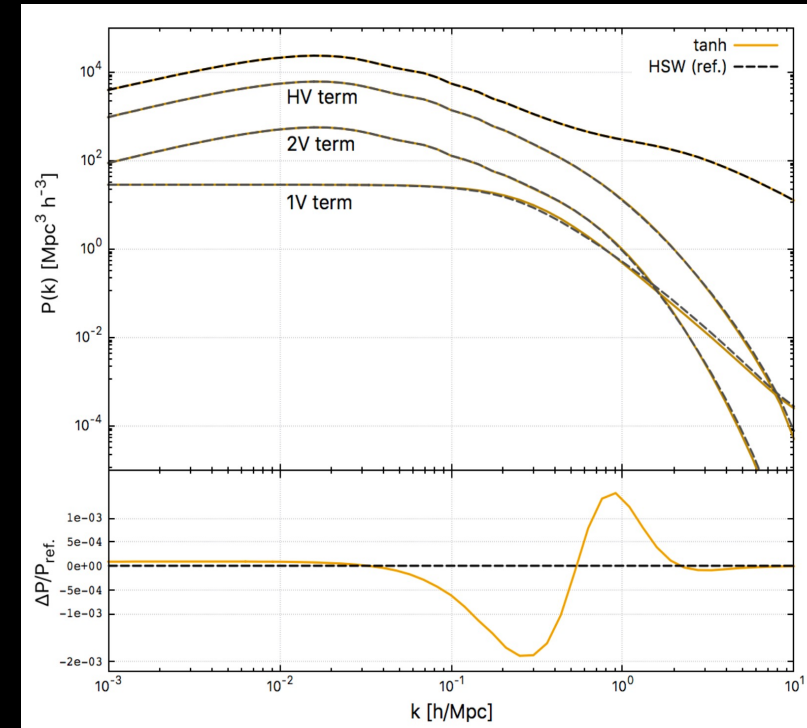
## Cosmology



## Concentration



## Void profile





# Statistical analysis

$$C_\ell = p \tilde{C}_\ell^{\text{DM}} + A \tilde{C}_\ell^{\text{astro}}$$

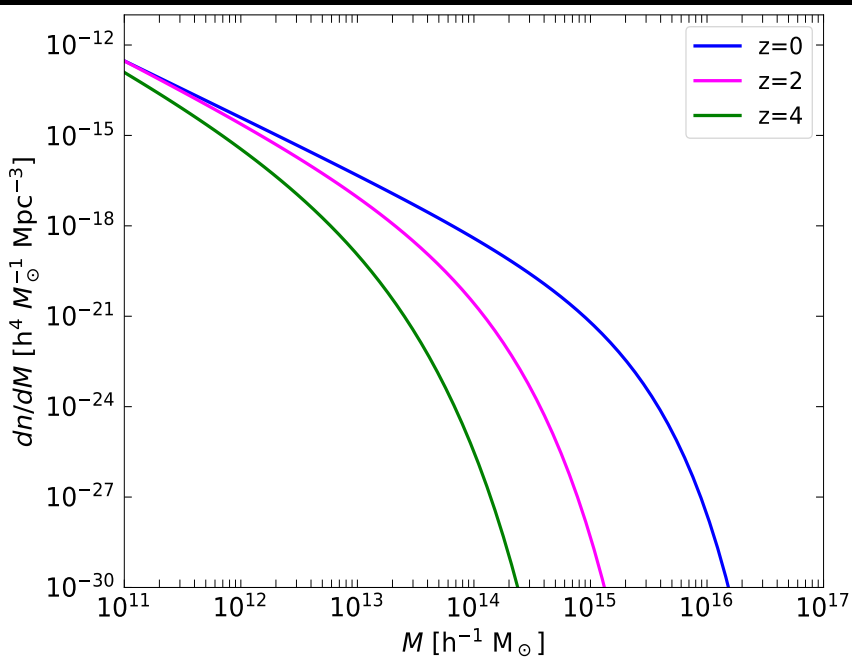
where  $p = (3 \times 10^{27} \text{ s}/\tau_d)$  is the decay lifetime-normalization with respect to the fiducial cross-correlation for DM computed with  $\tau_d = 3 \times 10^{27} \text{ s}$  and  $A$  is a free normalization for the total astrophysical signal computed with our fiducial model (see Appendix A). With

$$F = \begin{pmatrix} \sum_{\ell,E} \frac{(\tilde{C}_\ell^{\text{DM}})^2}{\sigma^2} & \sum_{\ell,E} \frac{\tilde{C}_\ell^{\text{DM}} \tilde{C}_\ell^{\text{astro}}}{\sigma^2} \\ \sum_{\ell,E} \frac{\tilde{C}_\ell^{\text{DM}} \tilde{C}_\ell^{\text{astro}}}{\sigma^2} & \sum_{\ell,E} \frac{(\tilde{C}_\ell^{\text{astro}})^2}{\sigma^2} \end{pmatrix}$$

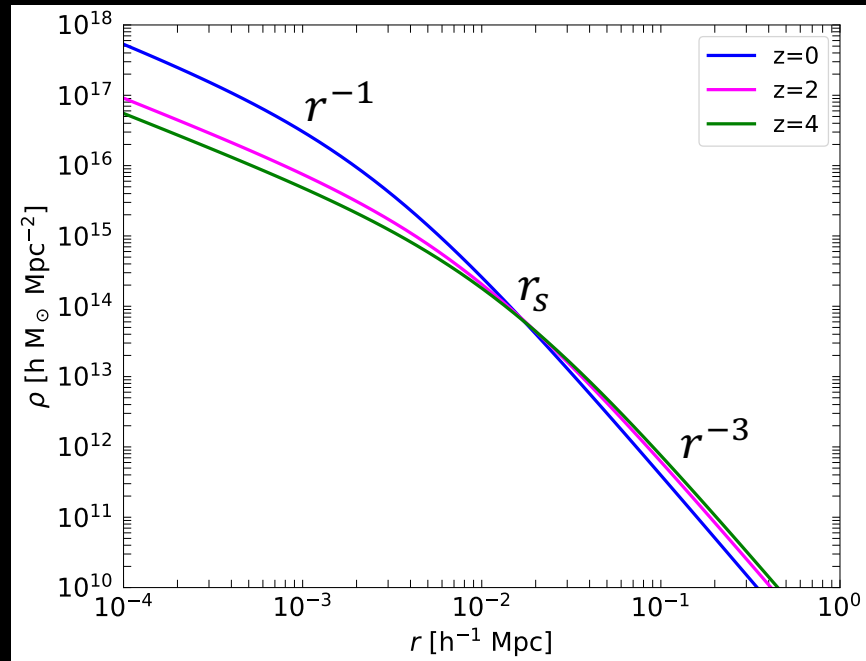
$$\sigma(\theta_a) = \sqrt{(F^{-1})_{aa}}$$

$$\theta_a^{\text{bound}} = n \times \sigma(\theta_a)$$

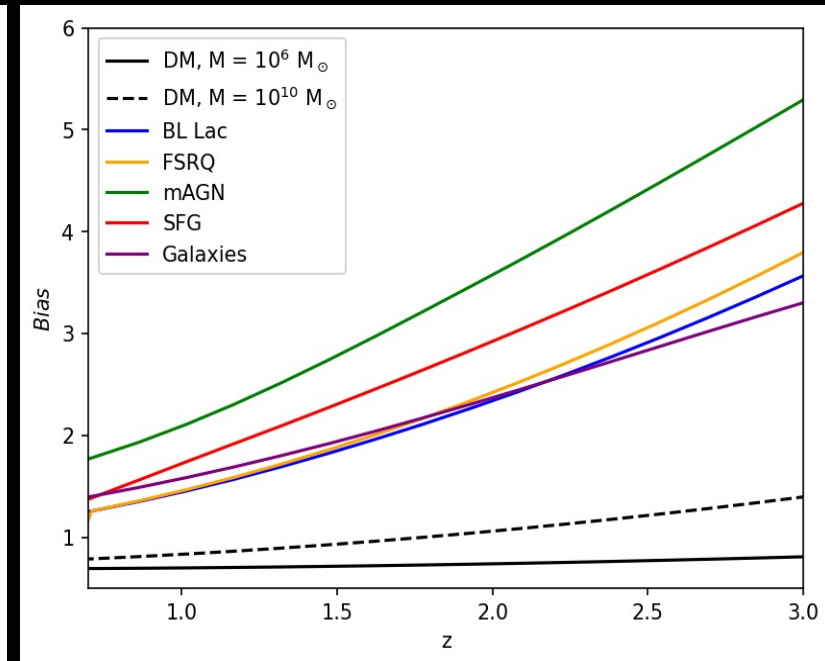
# Halo model



Halo mass function: Sheth-Tormen

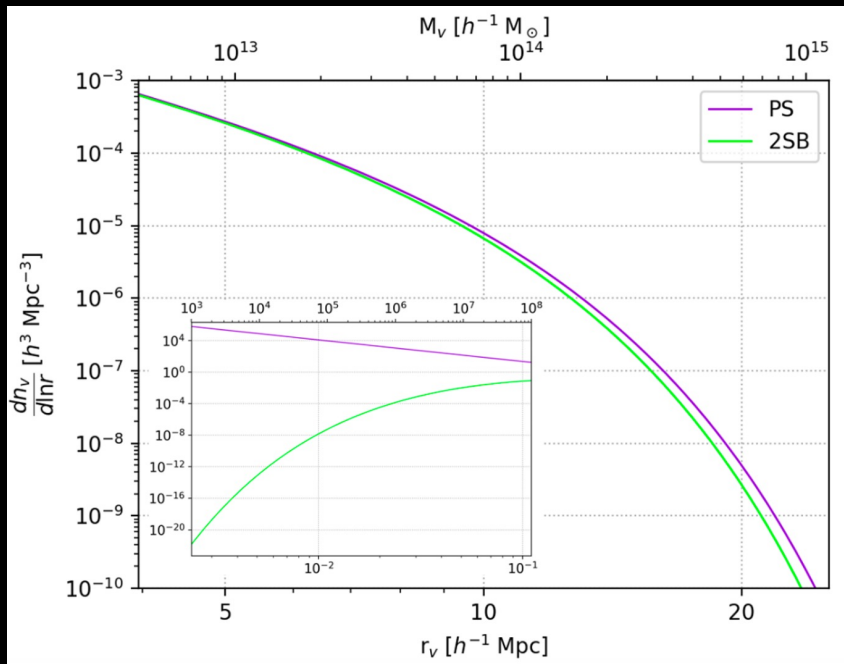


Density profile: NFW

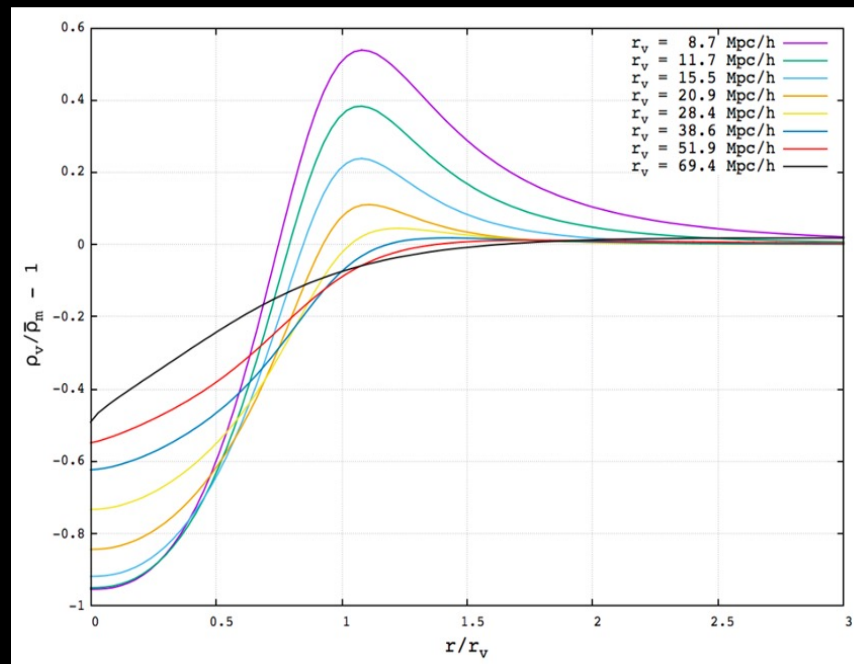


Bias

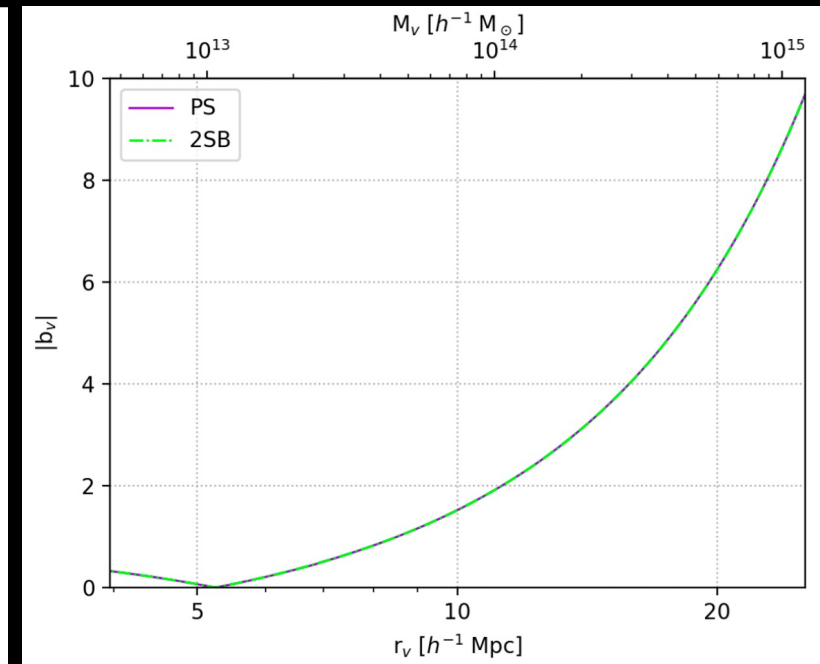
# Halo-Void model



Void mass function



Void Density profile:  
Hamaus-Sutter-Wandelt

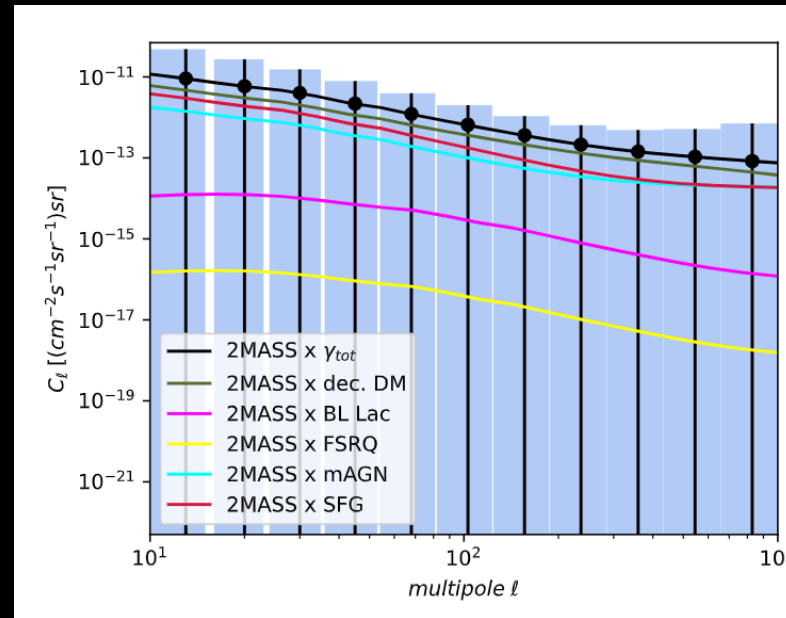


Void bias

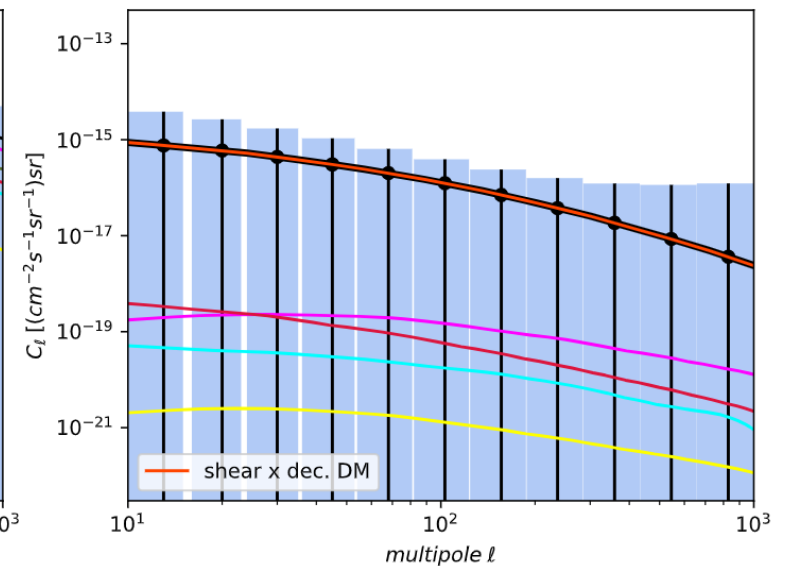
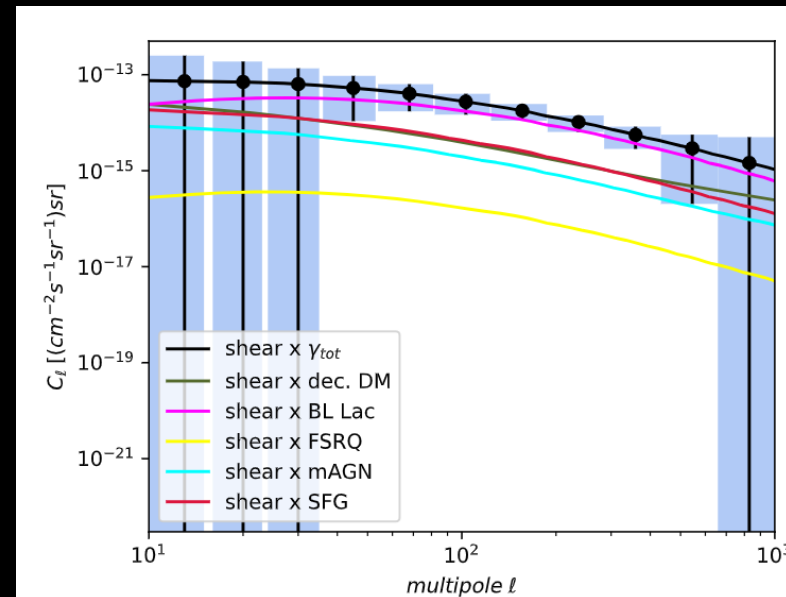
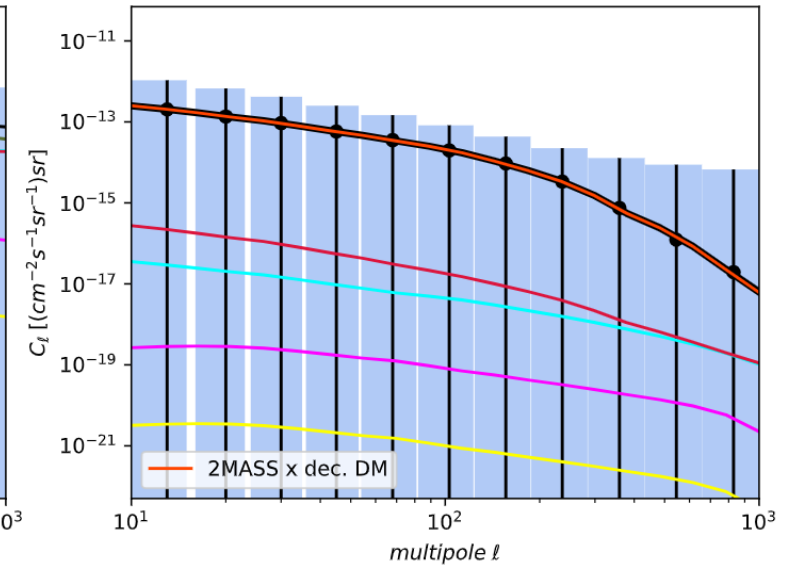


# Angular Power Spectrum

## Halos

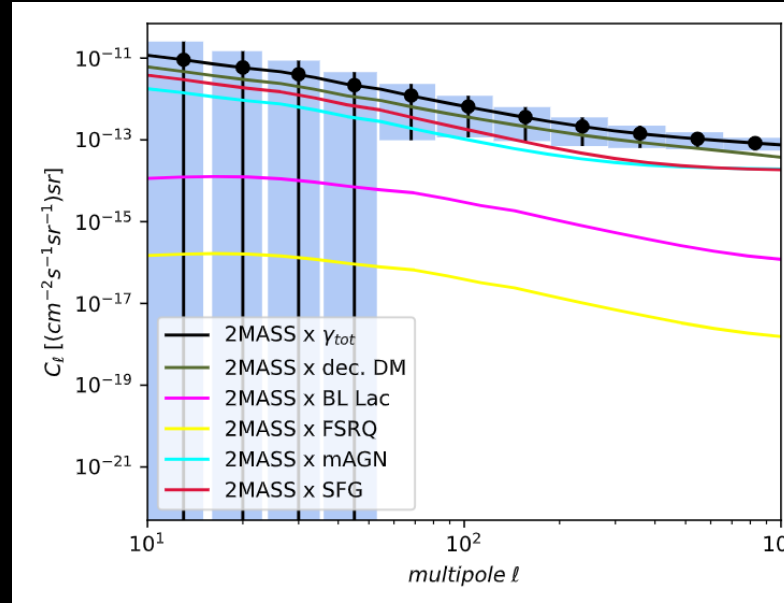


## Voids

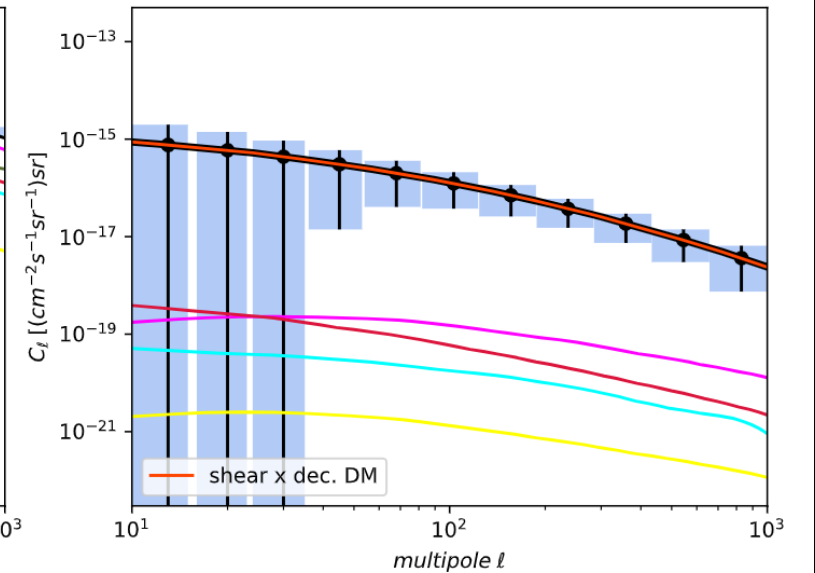
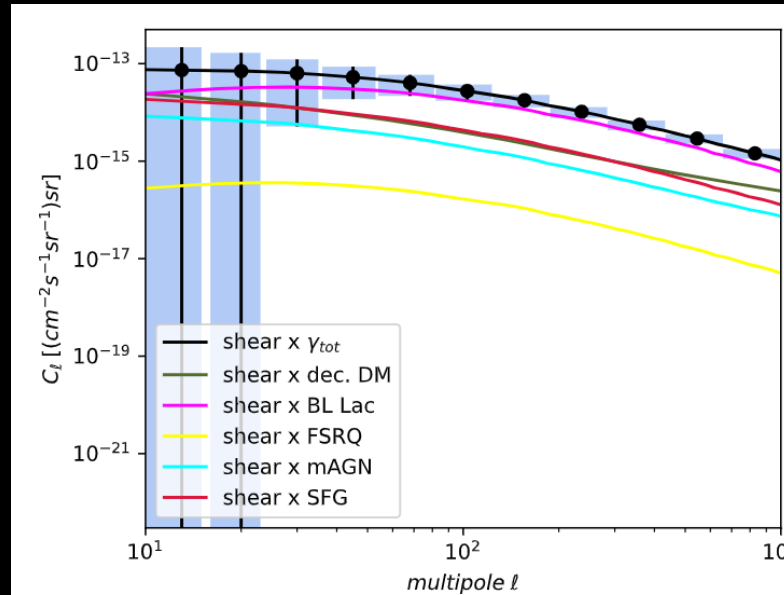
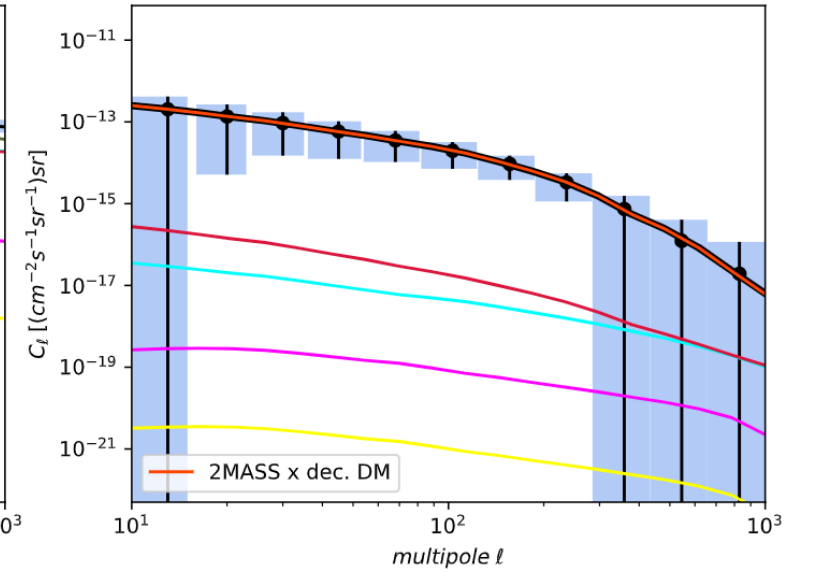


# Fermissimo

## Halos



## Voids



# Gamma-ray flux from dark matter

## Decaying dark matter:

$$\frac{d\phi}{dE_\gamma d\Omega}(E_\gamma, \theta) = \frac{1}{4\pi} \frac{1}{\tau m_{\text{DM}}} \frac{dN}{dE_\gamma}(E_\gamma) D(\theta)$$

$$D(\theta) = \int_{\text{l.o.s}} \rho(s(r, \theta)) ds$$

Particle properties      Energy spectrum      D-factor

## Annihilating dark matter:

$$\frac{d\phi}{dE_\gamma d\Omega}(E_\gamma, \theta) = \frac{1}{4\pi} \frac{\langle \sigma_{\text{ann}} v \rangle}{2m_{\text{DM}}^2} \frac{dN}{dE_\gamma} J(\theta)$$

$$J(\theta) = \int_{\text{l.o.s}} \rho^2(s(r, \theta)) ds$$



# Halo-Void Model

$$\delta(x) = \frac{\rho(x) - \bar{\rho}}{\bar{\rho}}$$

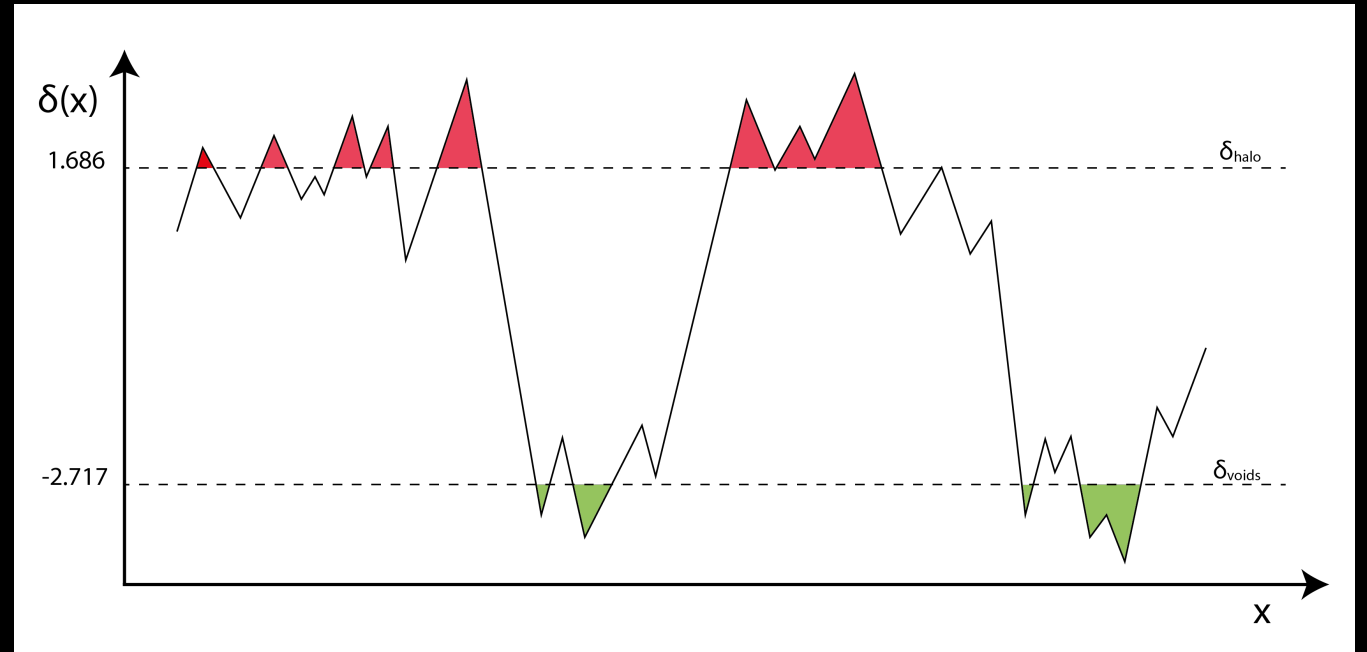
Density  
contrast

$$\delta(\vec{x}, t) > \delta_{th,halo}$$

$$\delta(\vec{x}, t) < \delta_{th,void}$$



The region collapses  
and a halo/void forms

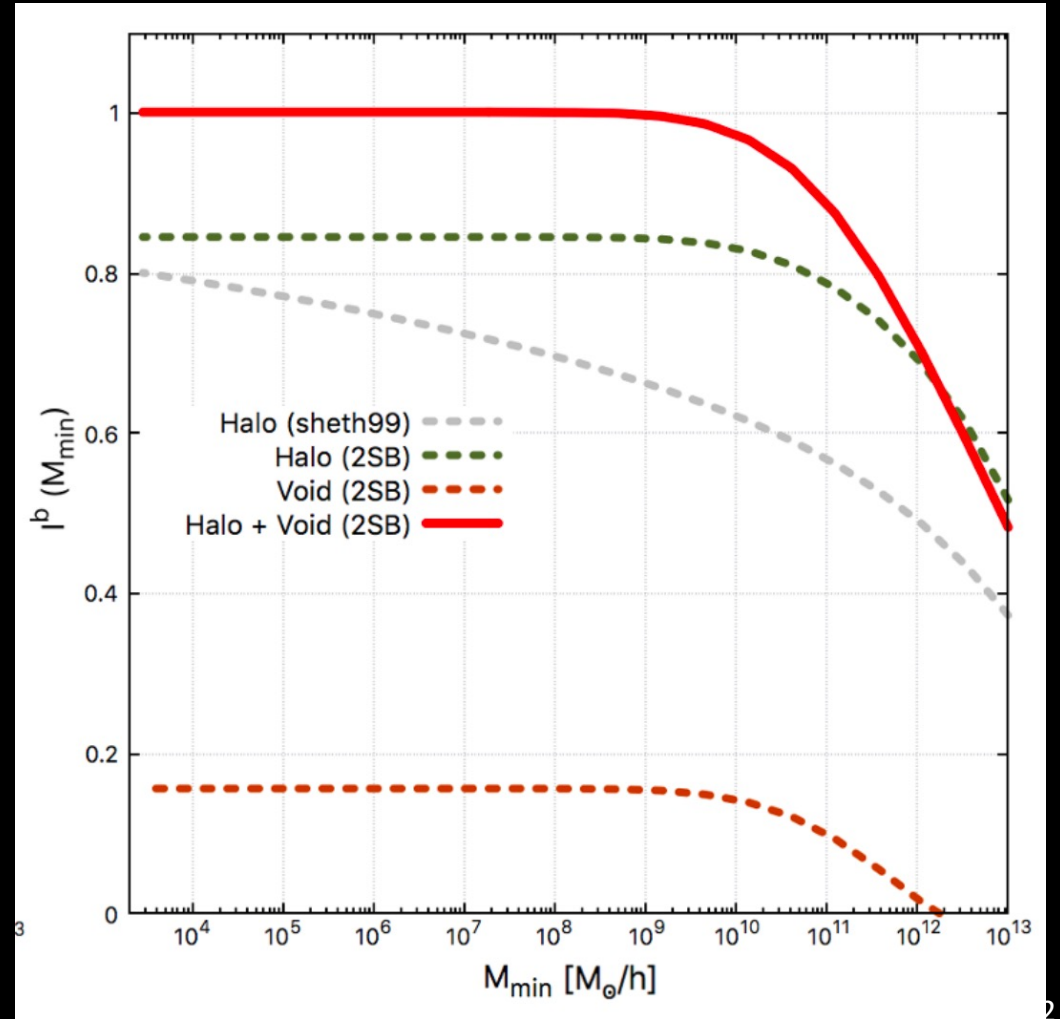
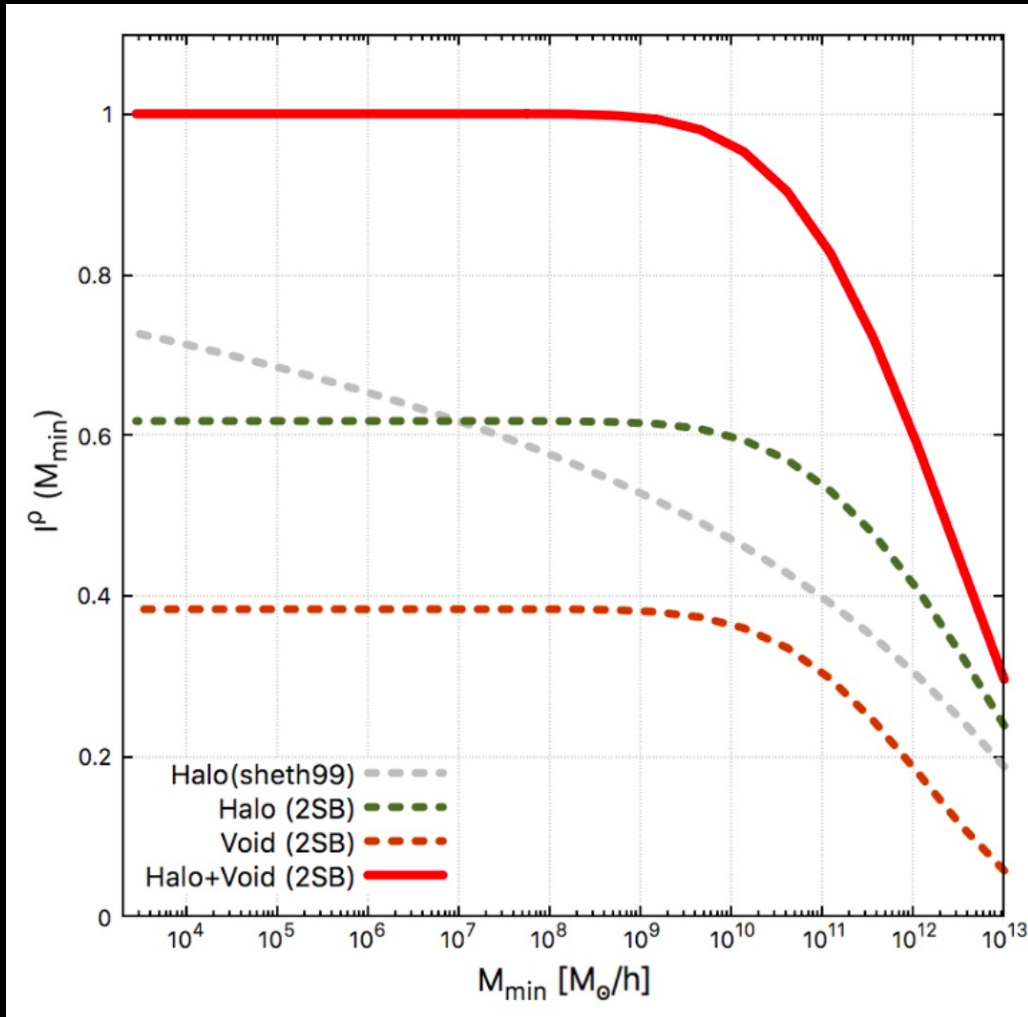


**Halo/Void Bias**

# Convergence problem

$$I^{\rho} \stackrel{\text{def.}}{=} \frac{\bar{\rho}}{\bar{\rho}_m} = \int_{M_{\min}}^{\infty} d \ln M \frac{M}{\bar{\rho}_m} \frac{dn}{d \ln M} = 1$$

$$I^b \stackrel{\text{def.}}{=} \bar{b} = \int_{M_{\min}}^{\infty} d \ln M \frac{M}{\bar{\rho}_m} \frac{dn}{d \ln M} b(M) = 1$$



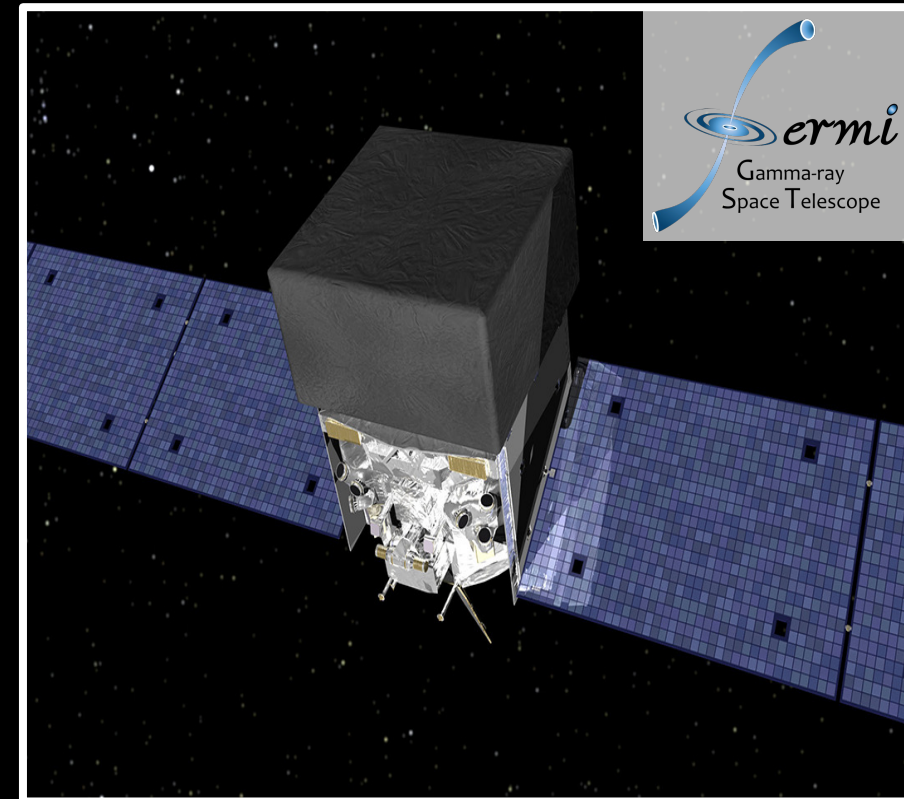
# Fermi Gamma-Ray Space Telescope

The Fermi Gamma-Ray Space Telescope is the **most sensitive** gamma-ray space observatory on orbit

Main instrument on board: **Large Area Telescope** (LAT)

Mission objectives: study astrophysical and cosmological phenomena, such as **high-energy sources** (e.g. AGN, pulsars) **and dark matter**

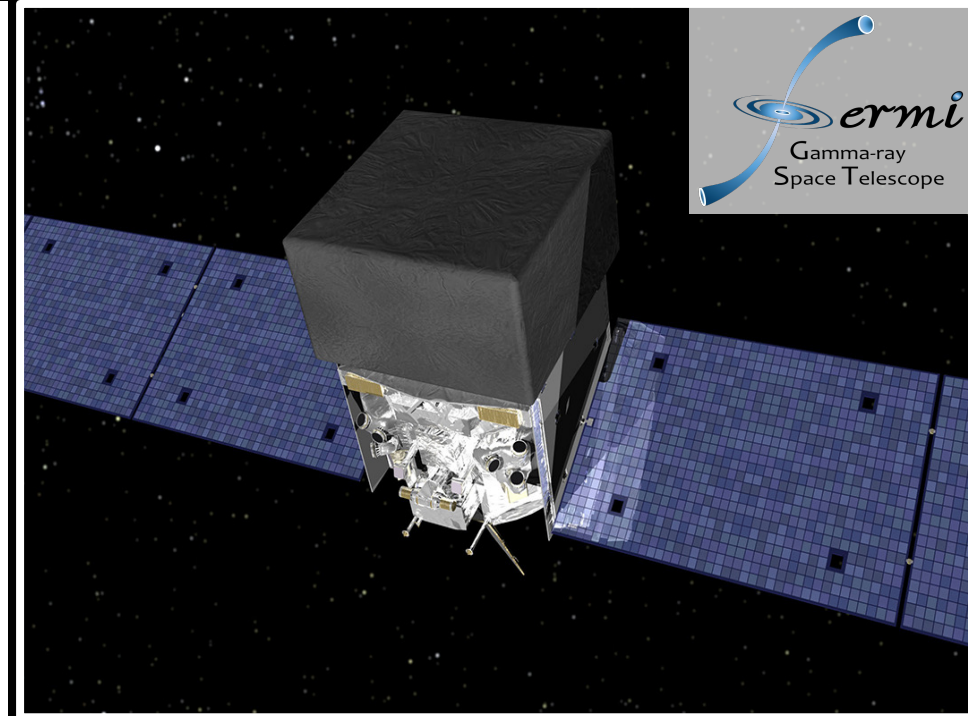
Launch date: **2008**





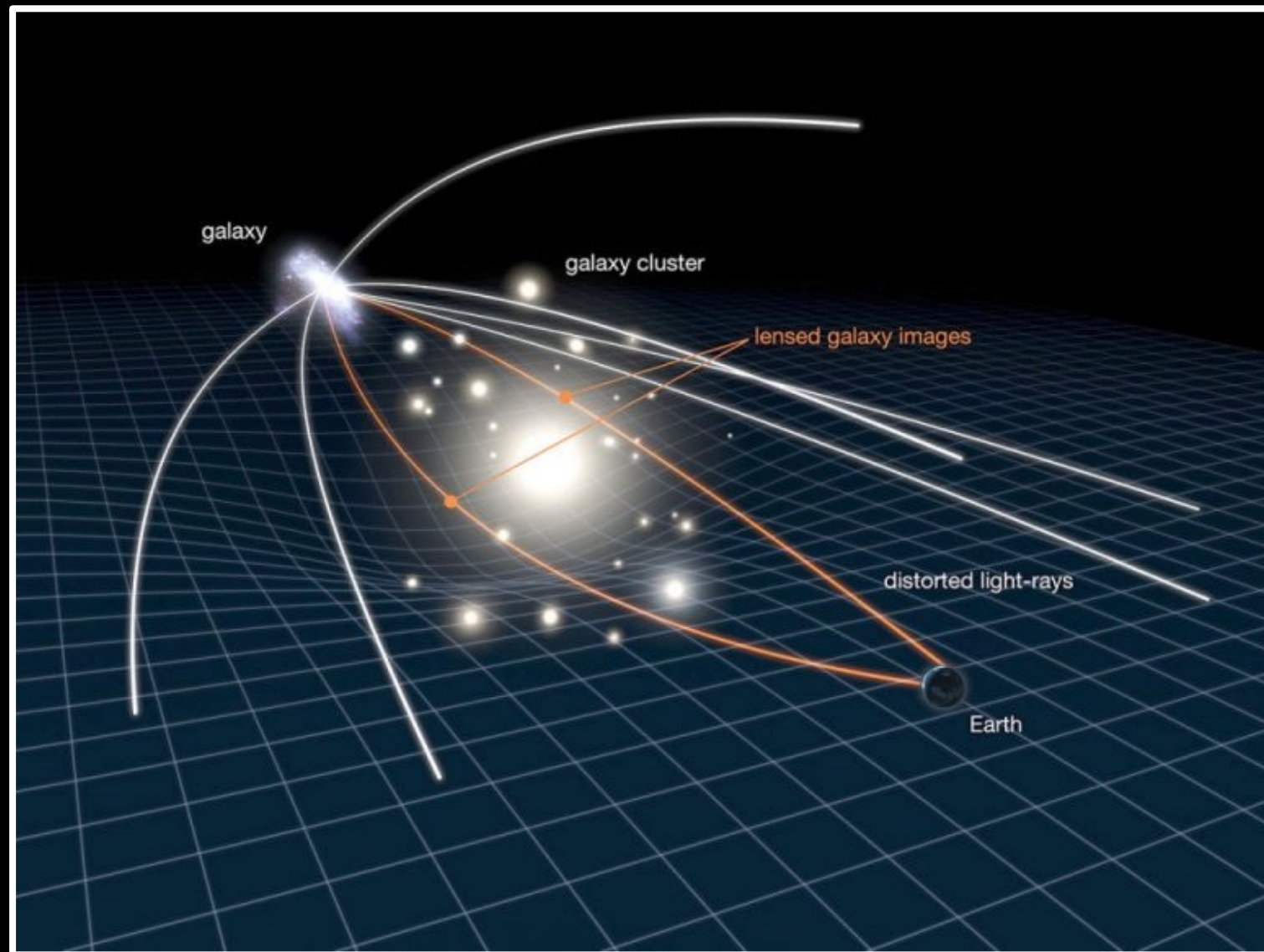
# Fermi-LAT specifications

Bin	$E_{\min}$ (GeV)	$E_{\max}$ (GeV)	$C_N$ ( $\text{cm}^{-4} \text{s}^{-2} \text{sr}^{-1}$ )	$f_{\text{sky}}$	$\sigma_0^{\text{Fermi}}$ (deg)	$E_b$ (GeV)
1	0.5	1.0	$1.056 \times 10^{-17}$	0.134	0.87	0.71
2	1.0	1.7	$3.548 \times 10^{-18}$	0.184	0.50	1.30
3	1.7	2.8	$1.375 \times 10^{-18}$	0.398	0.33	2.18
4	2.8	4.8	$8.324 \times 10^{-19}$	0.482	0.22	3.67
5	4.8	8.3	$3.904 \times 10^{-19}$	0.549	0.15	6.31
6	8.3	14.5	$1.768 \times 10^{-19}$	0.574	0.11	11.0
7	14.5	22.9	$6.899 \times 10^{-20}$	0.574	0.09	18.2
8	22.9	39.8	$3.895 \times 10^{-20}$	0.574	0.07	30.2
9	39.8	69.2	$1.576 \times 10^{-20}$	0.574	0.07	52.5
10	69.2	120.2	$6.205 \times 10^{-21}$	0.574	0.06	91.2
11	120.2	331.1	$3.287 \times 10^{-21}$	0.597	0.06	199.5
12	331.1	1000	$5.094 \times 10^{-22}$	0.597	0.06	575.4



	Fermissimo
Exposure	$2 \cdot \text{exp}_{\text{Fermi}}$
Angular resolution	$0.2 \cdot \sigma_b^{\text{Fermi}}$

# Weak lensing





# EUCLID



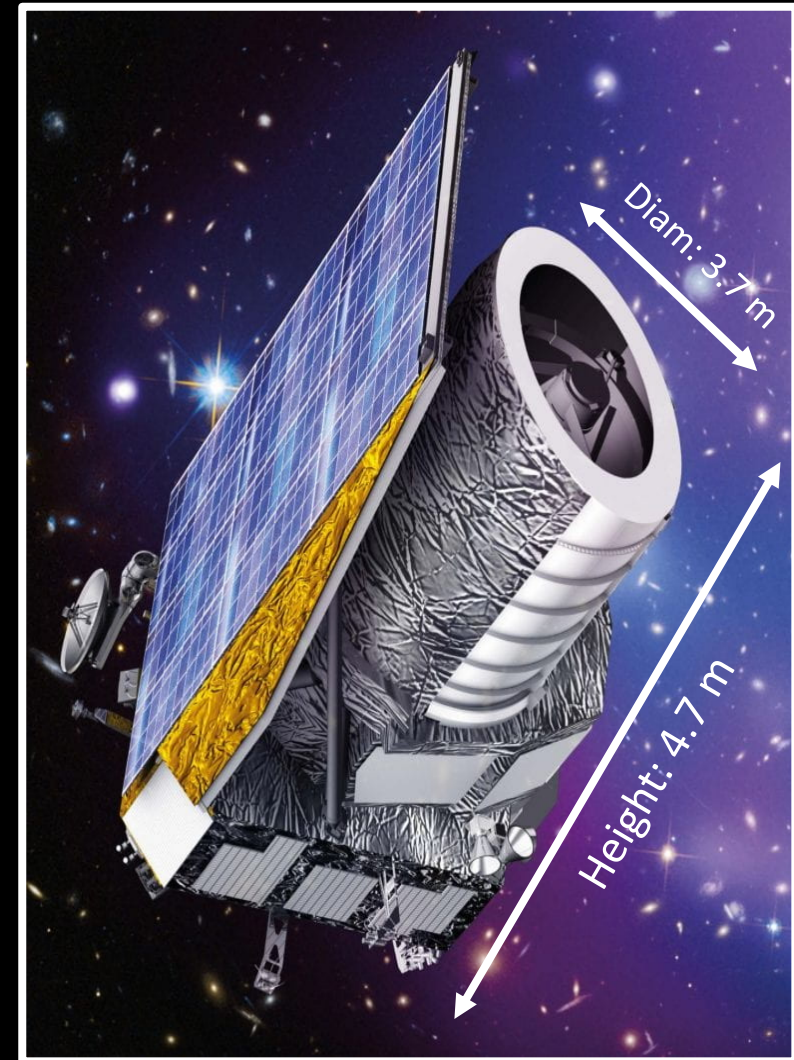
Euclid is a **cosmology survey mission**, optimised to determine the properties of dark energy and dark matter

Mission objective: **3D map of the Universe up to  $z=2$**

Wavelength: **optical & near-infrared light**

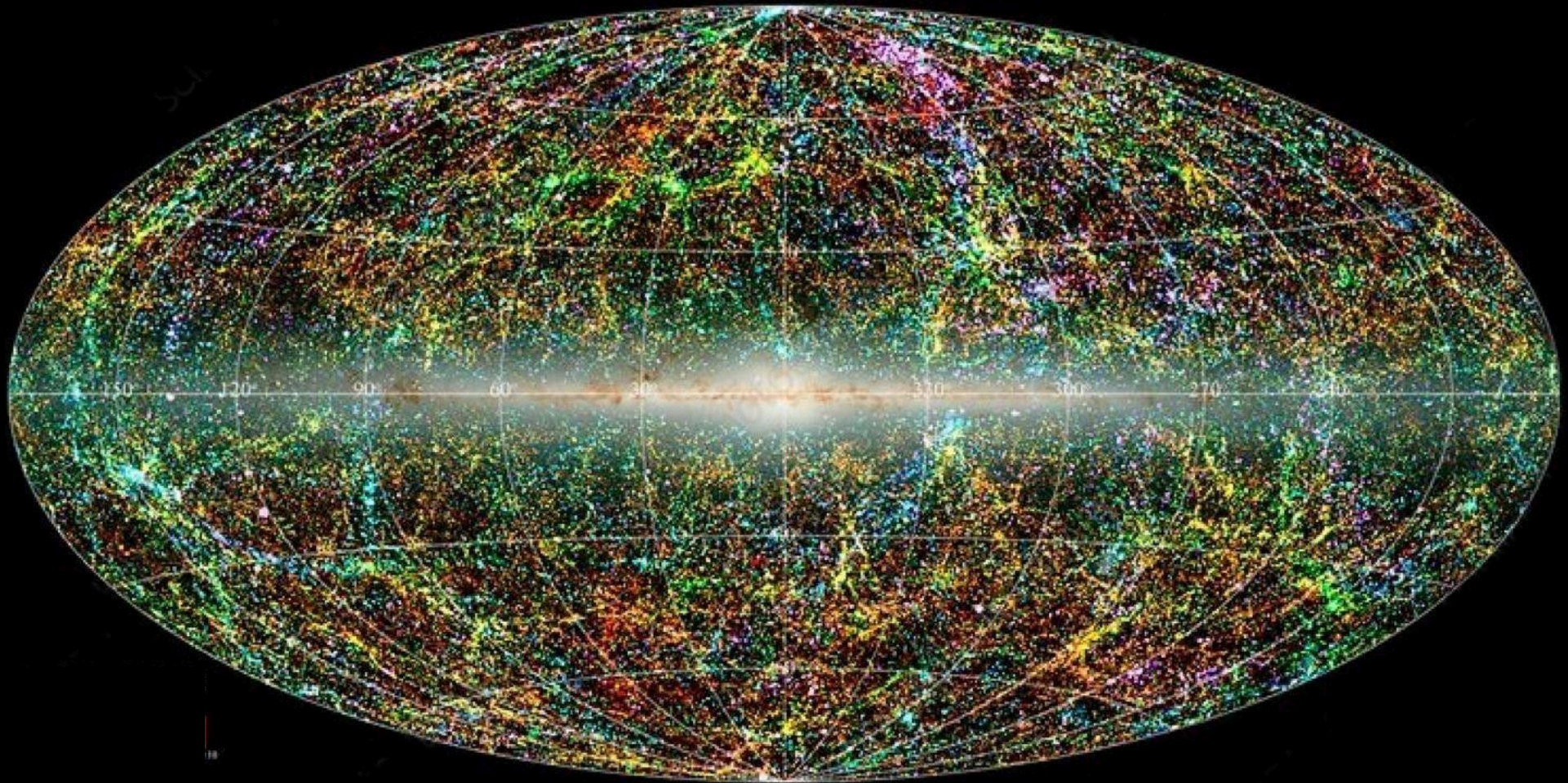
People: **2000+ scientists**, from 100+ institutes

Launch date: **2023**





# Galaxy catalogues



Two Micron All Sky Survey (2MASS)



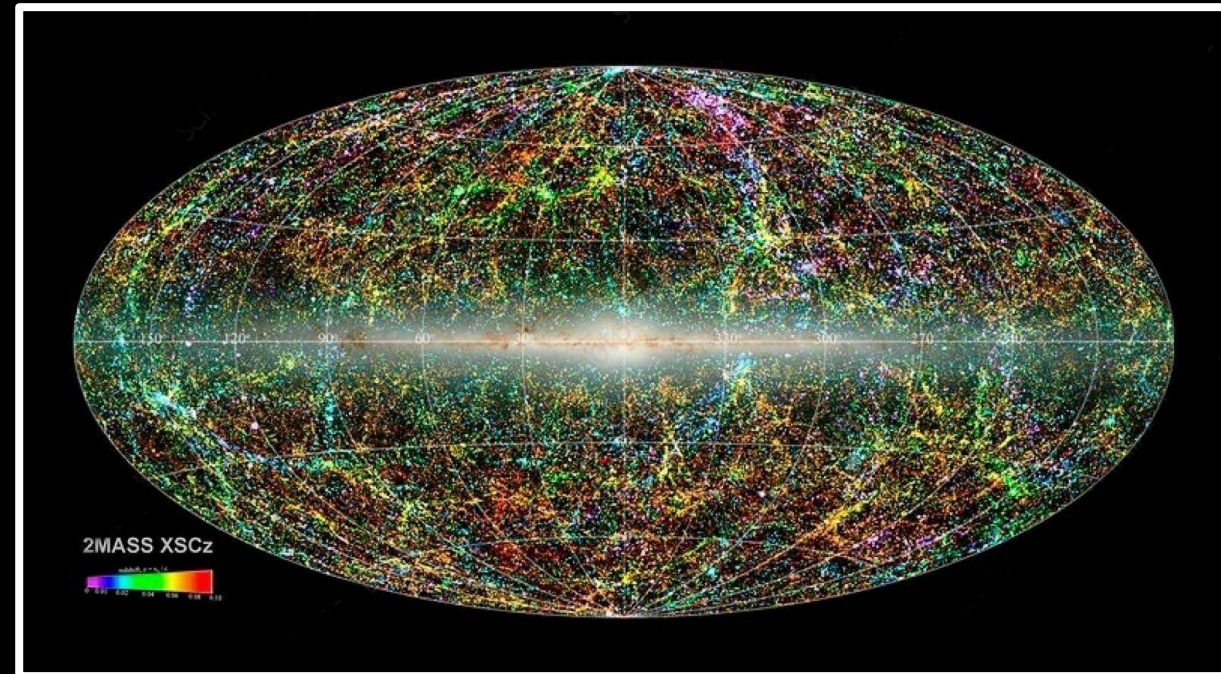
# 2MASS catalogue

Two Micron All-Sky Survey (2MASS) is an astronomical survey of the whole sky

Wavelength: **infrared light**

Astronomical catalog with **400+ million** observed objects

Operational years: **1997-2001**



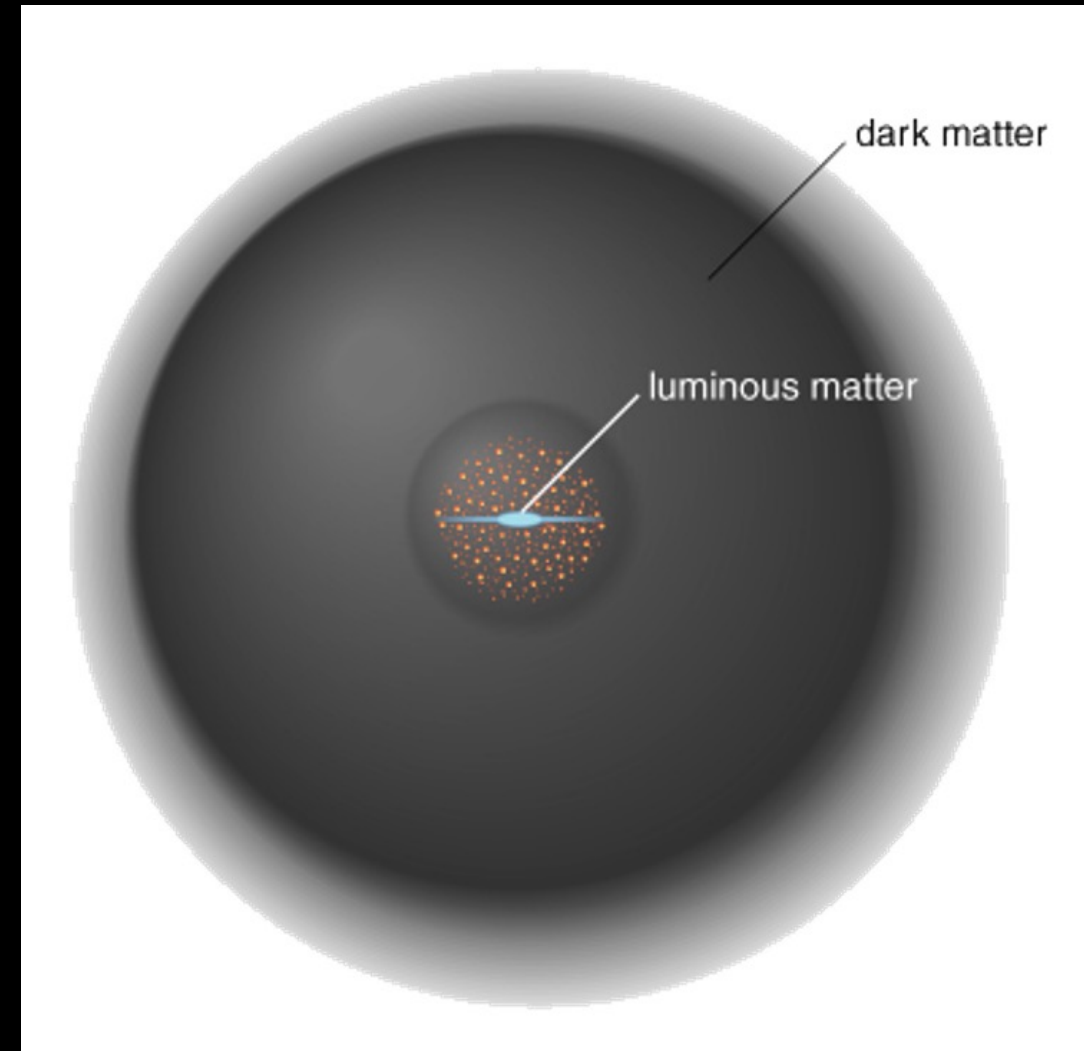
# Gravitational tracers

Baryonic matter (galaxies, clusters of galaxies, neutral hydrogen) resides within dark matter halos



They trace the dark matter distribution

- **Statistics** (galaxies and clusters > weak lensing)
- **Biased** (galaxies, clusters, HI) vs unbiased (weak lensing)
- **Redshift distribution**





# Variance of the signal

$$\Delta C_{\ell}^{g \times \gamma} = \sqrt{\frac{1}{(2\ell + 1) f_{sky}} \left[ (C_{\ell}^{g \times \gamma})^2 + \left( C_{\ell}^{\gamma \gamma} + \frac{N_{\gamma}}{B_{\ell, \gamma}^2} \right) \left( C_{\ell}^{g \times g} + \frac{N_g}{B_{\ell, g}^2} \right) \right]}$$

Noise of the detector

Sky coverage

Cross-correlation signal

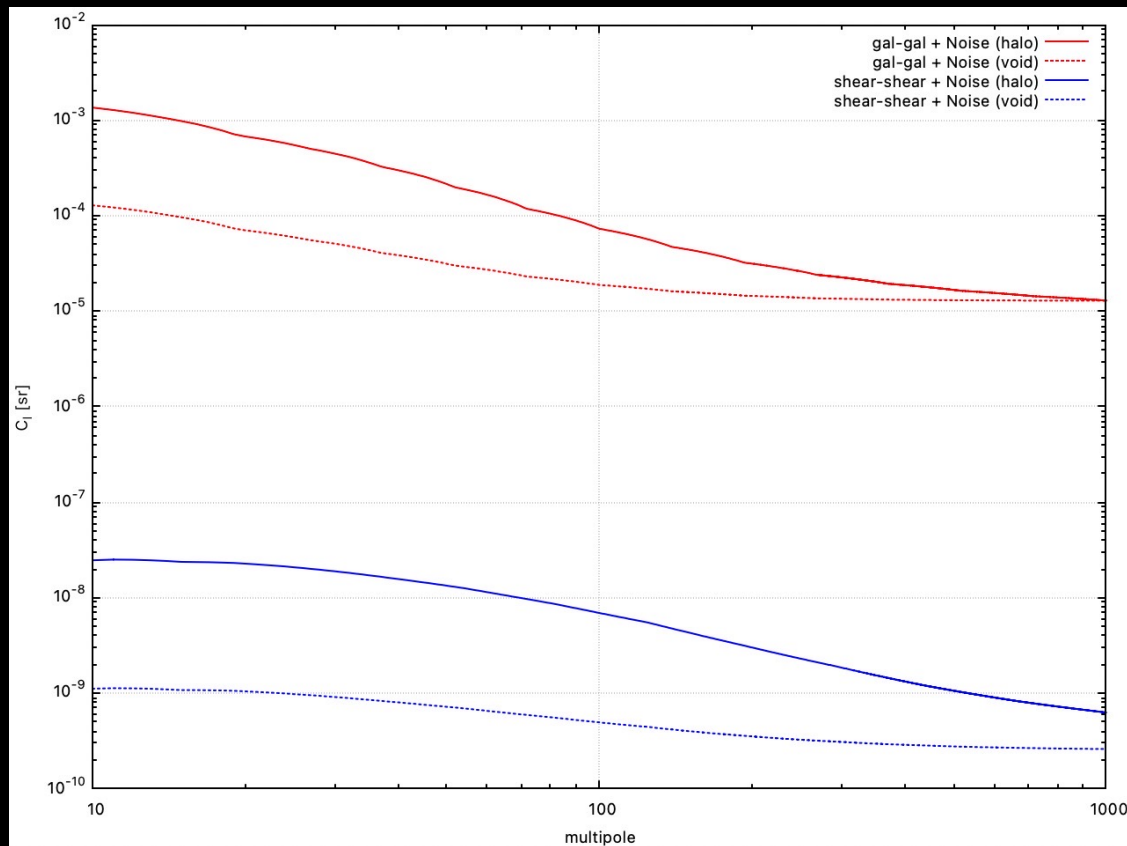
Auto-correlation signal

Beam window function

The diagram illustrates the variance of the signal,  $\Delta C_{\ell}^{g \times \gamma}$ , as a function of several parameters. The equation is enclosed in a blue box. The terms are color-coded and labeled with arrows:  $f_{sky}$  is labeled 'Sky coverage' (green arrow);  $C_{\ell}^{g \times \gamma}$  is labeled 'Cross-correlation signal' (red arrow);  $C_{\ell}^{\gamma \gamma}$  is labeled 'Auto-correlation signal' (blue arrow);  $B_{\ell, \gamma}^2$  and  $B_{\ell, g}^2$  are labeled 'Beam window function' (magenta arrow); and  $N_{\gamma}$  and  $N_g$  are labeled 'Noise of the detector' (yellow arrows).

# Variance of the signal

$$\Delta C_\ell^{g \times \gamma} = \sqrt{\frac{1}{(2\ell + 1) f_{sky}} \left[ (C_\ell^{g \times \gamma})^2 + \left( C_\ell^{\gamma \gamma} + \frac{N_\gamma}{B_{\ell, \gamma}^2} \right) \left( C_\ell^{g \times g} + \frac{N_g}{B_{\ell, g}^2} \right) \right]}$$



# Halo-Void Dust Model

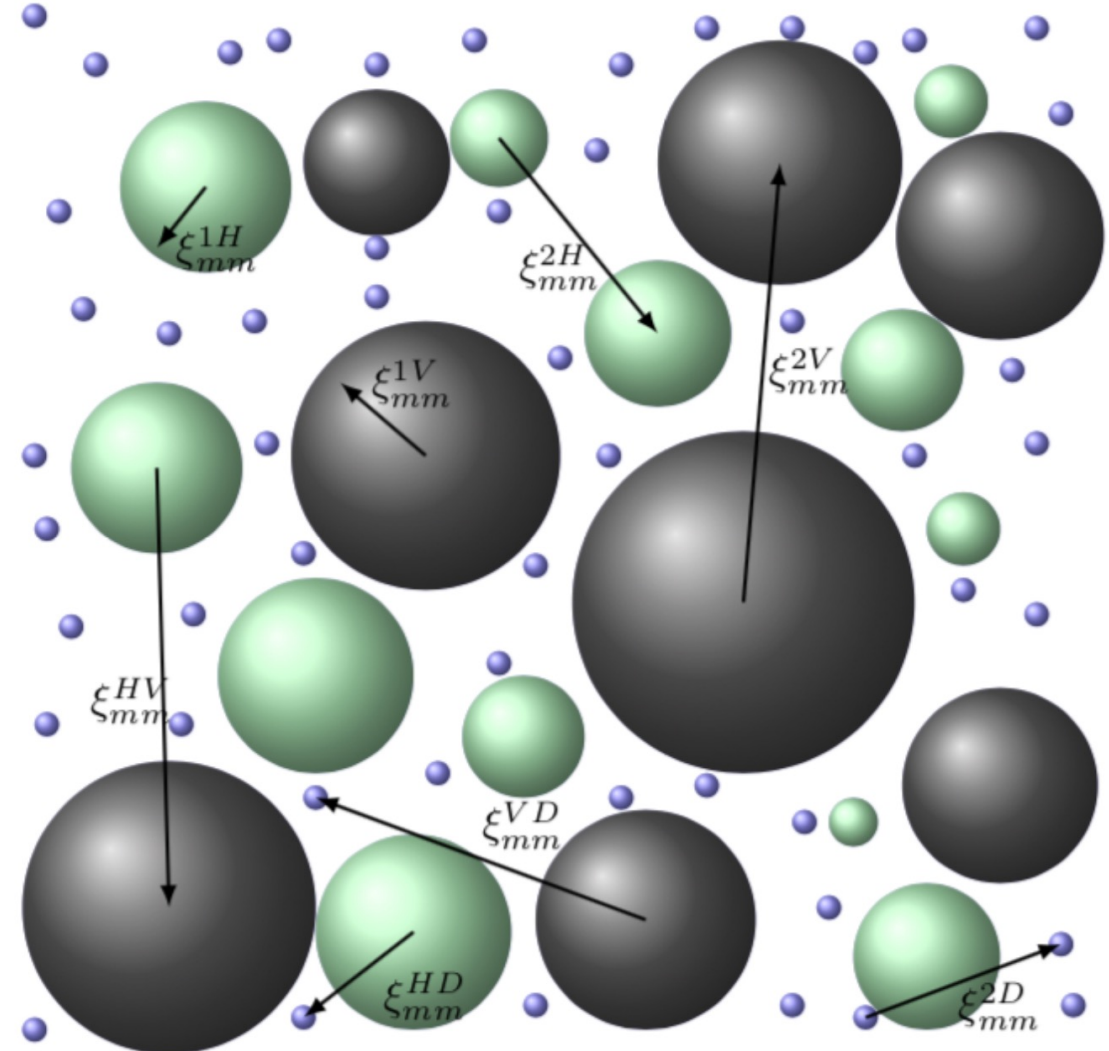
$$P^{1H}(k) = \frac{1}{\bar{\rho}_m^2} \int dM \frac{dn_h}{dM} |\rho_h(k | M)|^2$$

$$P^{2H}(k) = \frac{1}{\bar{\rho}_m^2} \left[ \int dM \frac{dn_h}{dM} \rho_h(k | M) b_h(M) \right]^2 P^L(k)$$

$$P^{1V}(k) = \frac{1}{\bar{\rho}_m^2} \int dM \frac{dn_v}{dM} |\rho_v(k | M)|^2$$

$$P^{2V}(k) = \frac{1}{\bar{\rho}_m^2} \left[ \int dM \frac{dn_v}{dM} \rho_v(k | M) b_v(M) \right]^2 P^L(k)$$

$$P^{HV}(k) = \frac{1}{\bar{\rho}_m^2} \int dM_1 \frac{dn_h}{dM_1} \rho_h(k | M_1) b_h(M_1) \int dM_2 \frac{dn_v}{dM_2} \rho_v(k | M_2) b_v(M_2) P^L(k)$$





# Beyond the Halo Model: convergence problem

$$I^\rho \stackrel{\text{def.}}{=} \frac{\bar{\rho}}{\bar{\rho}_m} = \int_{M_{\min}}^{\infty} d \ln M \frac{M}{\bar{\rho}_m} \frac{dn}{d \ln M} = 1$$

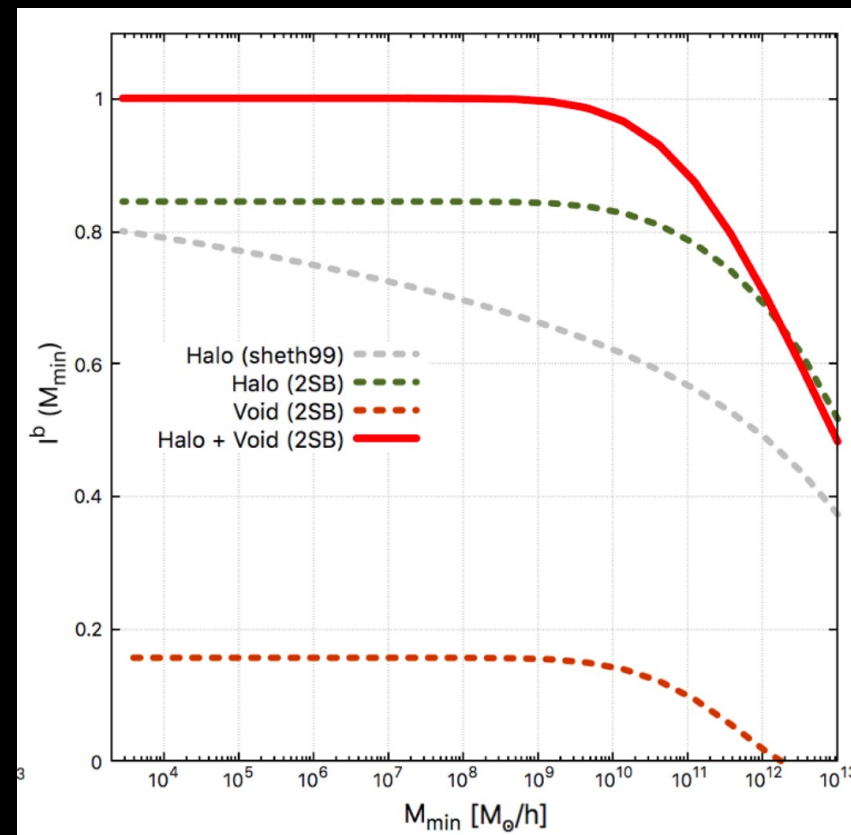
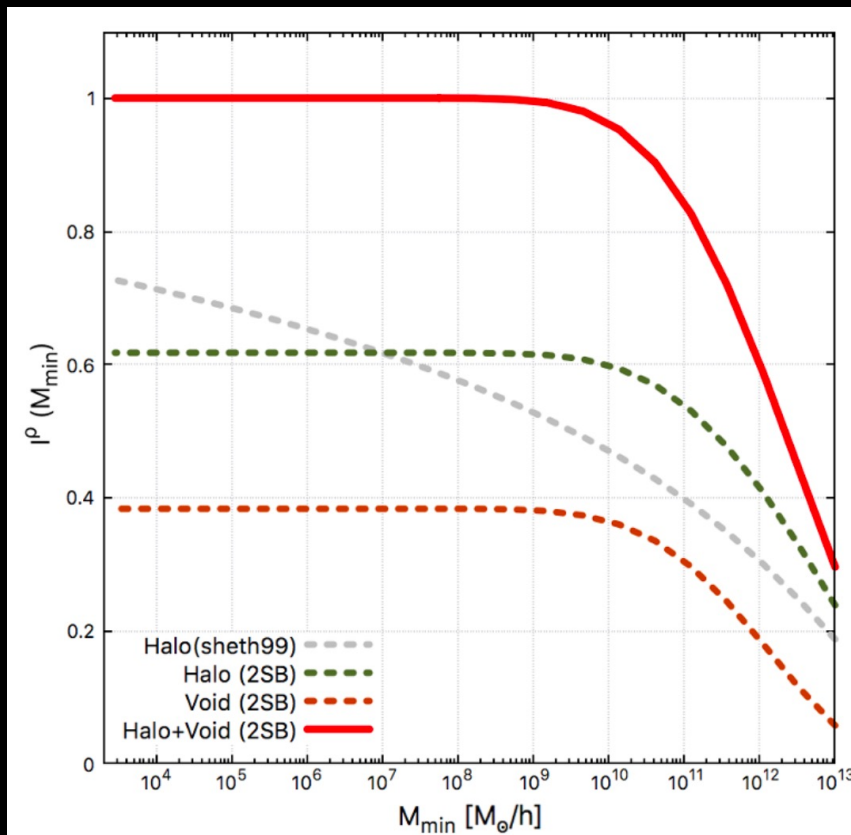
$$I^b \stackrel{\text{def.}}{=} \bar{b} = \int_{M_{\min}}^{\infty} d \ln M \frac{M}{\bar{\rho}_m} \frac{dn}{d \ln M} b(M) = 1$$



0.7



0.8



# Angular power spectra

