

Search for long-lived particles in e^+e^- collisions at BABAR

arXiv:1502.0258

Abi Soffer

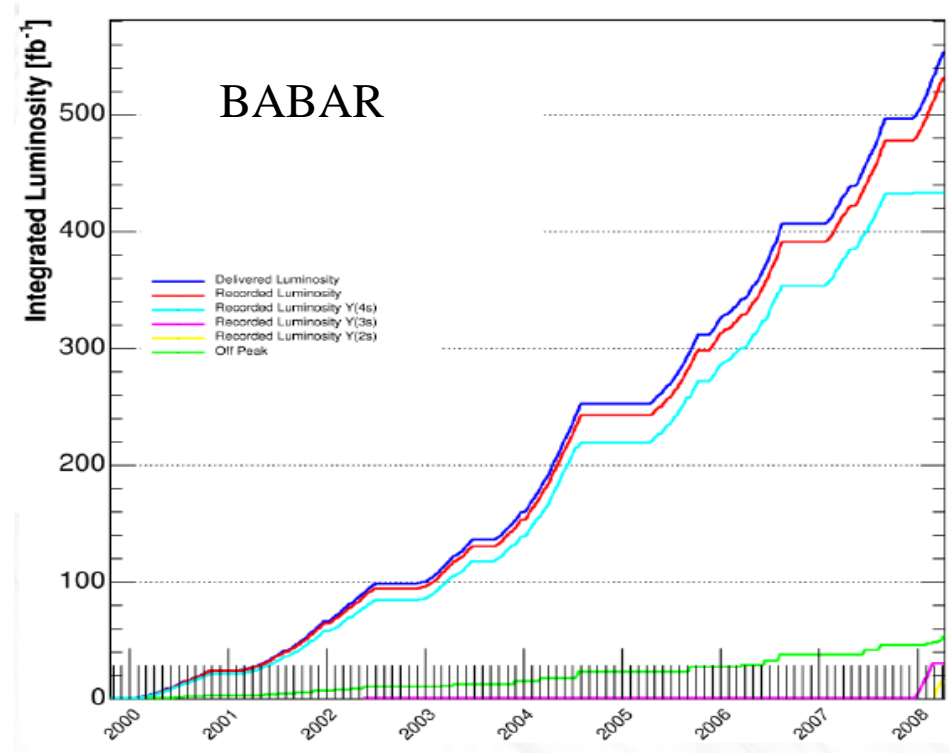
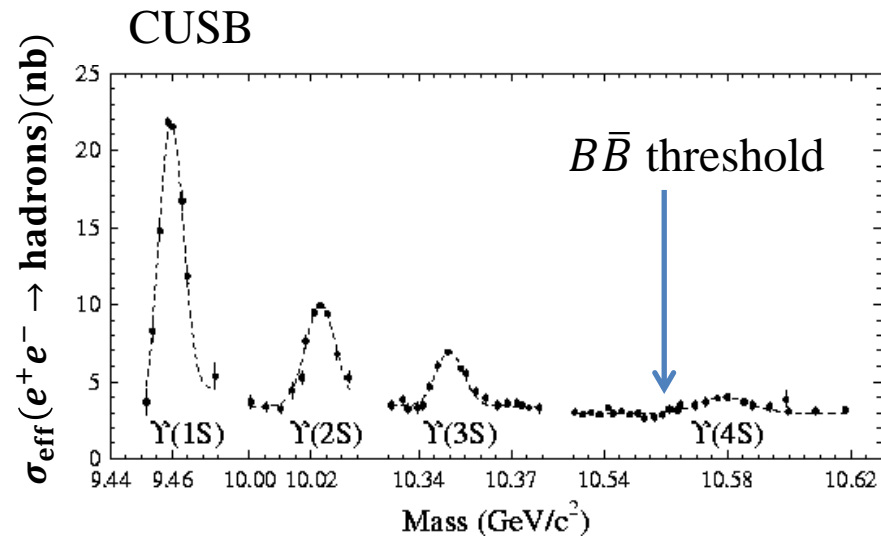
Tel Aviv University

On behalf of the BABAR Collaboration

Motivation

- Searches for long-lived particles (LLPs) have been conducted for $m \ll \text{GeV}$, e.g.,
 - Recasting beam dump experiments: Andreas, Niebuhr, Ringwald, 1209.6083
 - Recasting π^0 decays: Gninenko, 1112.5438
 - NuTeV, hep-ex/0104037
- And for $m \sim \text{multi-GeV}$, e.g.,
 - D0: hep-ex/0607028, 0906.1787
 - CDF: hep-ex/9805017
 - ATLAS: 1210.7451, 1203.1303
 - CMS: 1409.4789, 1411.6977
 - LHCb: 1412.3021
- But not so much for $m \sim \text{GeV}$
 - Well suited for high-luminosity B factories such as BABAR
 - Belle: long-lived heavy neutrino 1301.1105
 - So far, no generic search that uses long lifetime as main signature

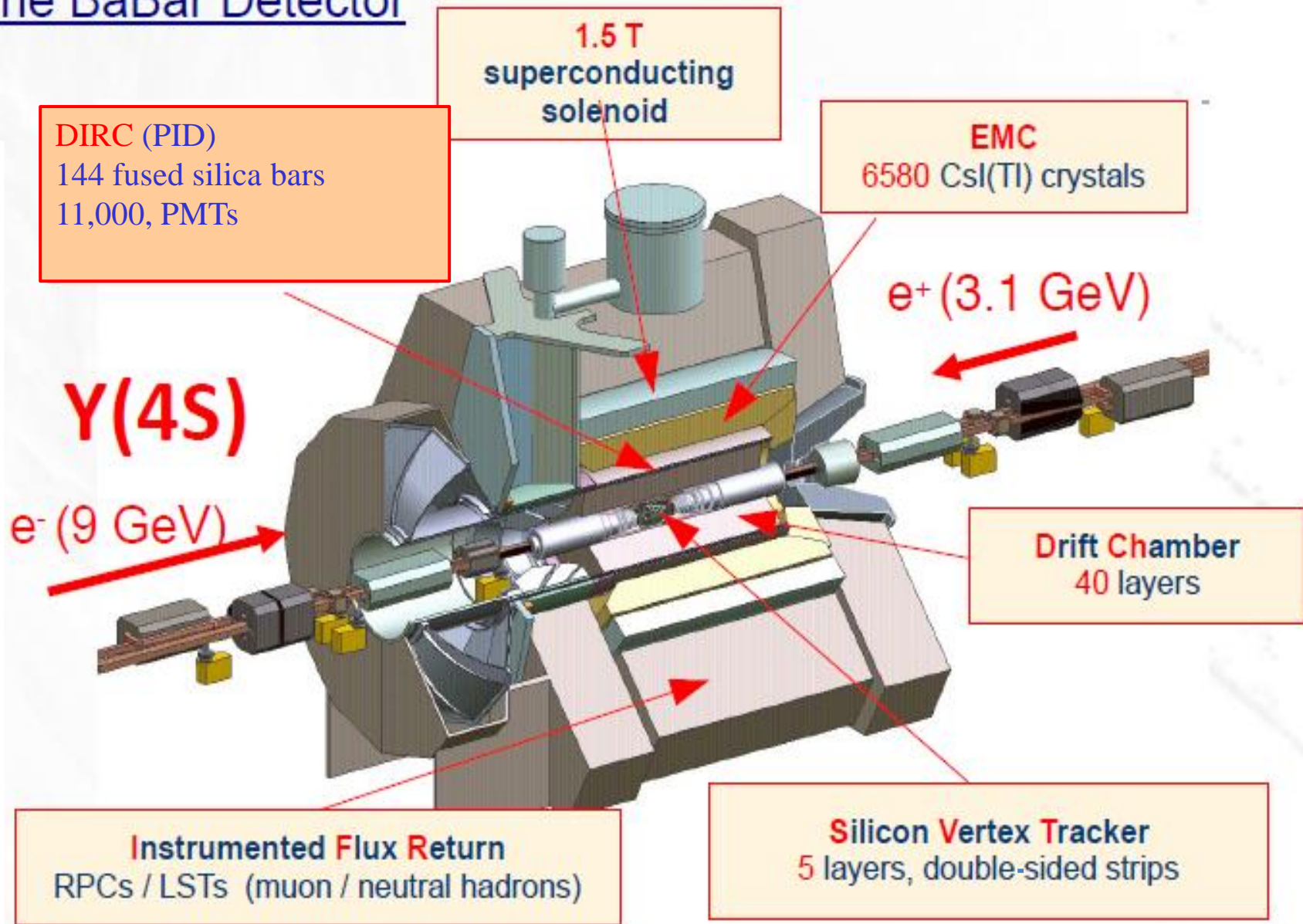
BABAR Energy and data



$$\begin{aligned}
 L(4S) &= 424 \text{ fb}^{-1} & N(4S) &= 471 \times 10^6 \\
 L(3S) &= 28 \text{ fb}^{-1} & N(3S) &= 121 \times 10^6 \\
 L(2S) &= 14 \text{ fb}^{-1} & N(2S) &= 99 \times 10^6 \\
 L(\text{off-peak}) &= 48 \text{ fb}^{-1}
 \end{aligned}$$

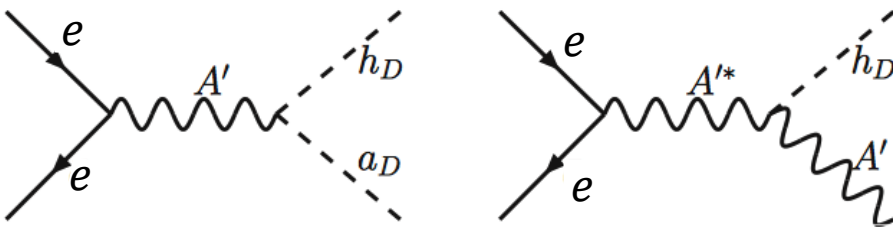
$$\begin{aligned}
 &\sim 1.3 \times 10^9 e^+e^- \rightarrow c\bar{c} \\
 &\sim 0.9 \times 10^9 e^+e^- \rightarrow \tau^+\tau^-
 \end{aligned}$$

The BaBar Detector

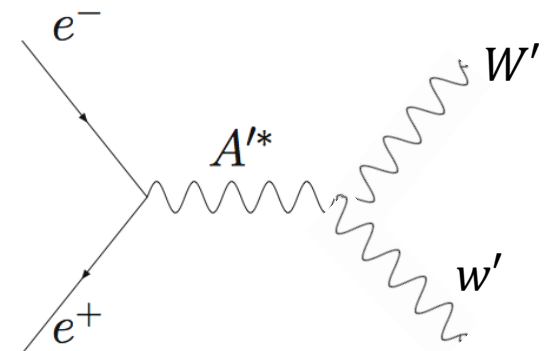


Scenarios for LLPs at B factories – Vector portal

- Produce a dark-sector photon A' via kinetic mixing with the SM photon: $\epsilon F^{\mu\nu} F'_{\mu\nu}$
- A' decays into dark (pseudo)scalar or vectors.
One of these can be long-lived if it is the lightest dark state:



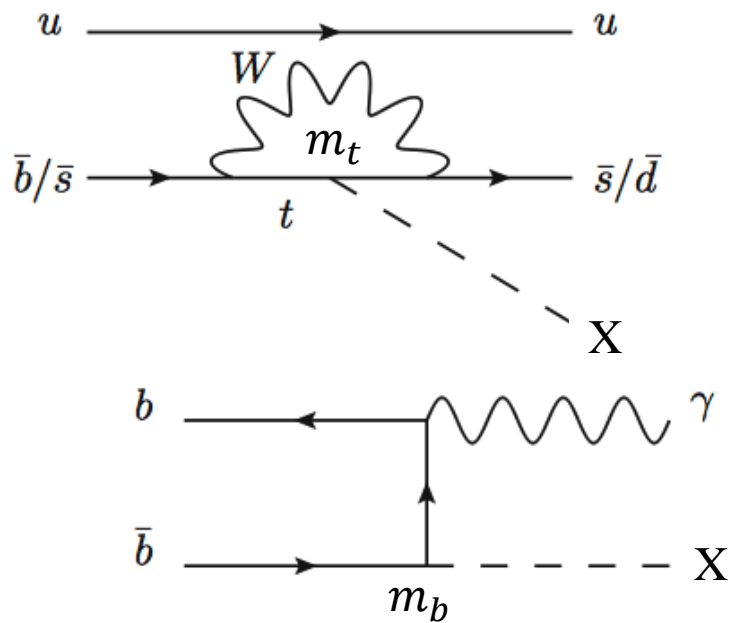
Schuster, Toro, Yavin, 0910.1602



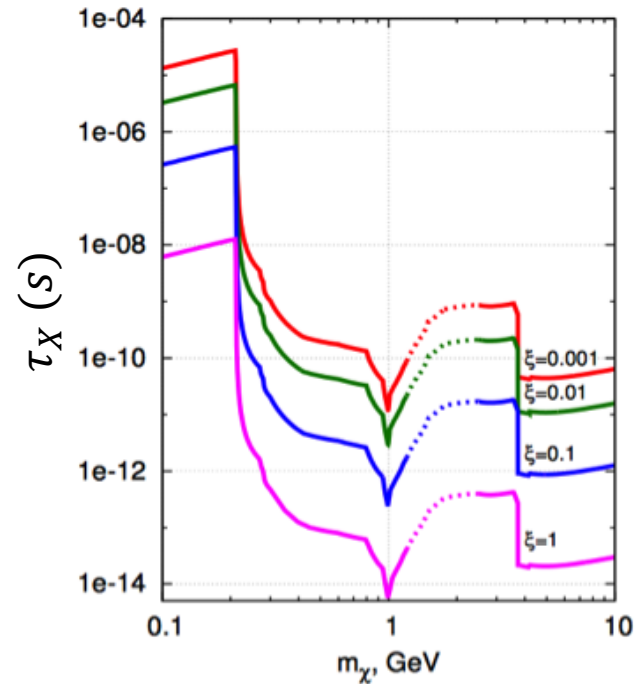
Essig, Schuster, Toro, 0903.3941

Scenarios for LLPs at B factories – Higgs portal

- A light scalar X mixes with the SM Higgs.
- Production rate $\propto m_b^2$ or m_t^2 , decay rate $\propto m_f^2$



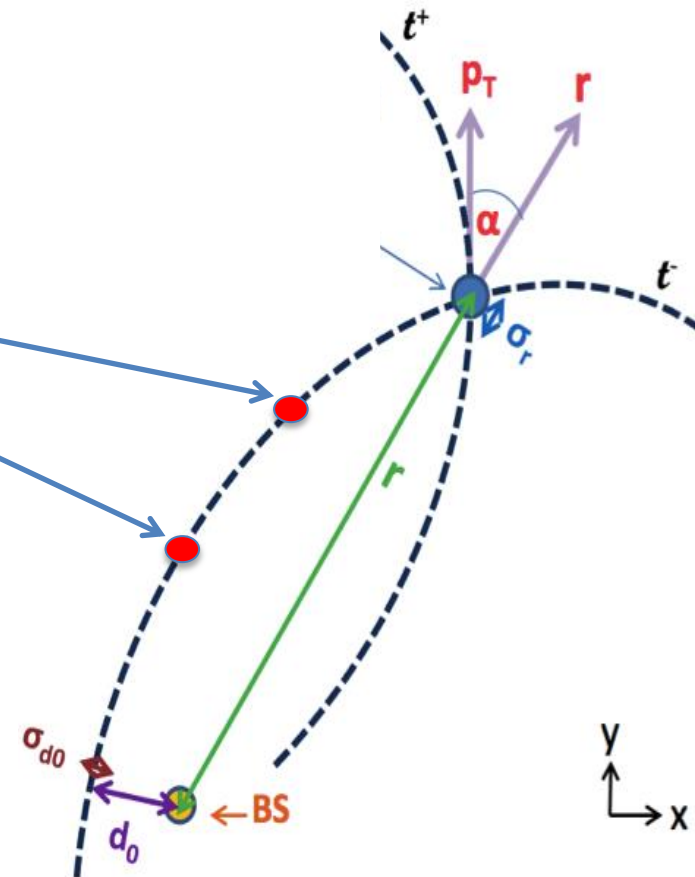
Clarke, Foot, Volkas, 1310.8042



$$B(b \rightarrow Xs) \approx O(10^{-6})$$

Event selection

- Form vertex out of track pairs, loosely selected as e^+e^- , $\mu^+\mu^-$, $e^\pm\mu^\mp$, $\pi^+\pi^-$, K^+K^- , $\pi^\pm K^\mp$ (allowing overlaps)
- Require
 - Track $d_0 > 3\sigma$
 - Vertex $\chi^2 < 10$
 - $r > 1$ cm, $\sigma_r < 0.2$ cm
 - No hits before the vertex
 - $\alpha < 0.01$ rad
- Remove
 - K_S , & Λ with mass cuts
 - $e^+e^- \rightarrow e^+e^-$ & cosmics with angle cuts
 - Beampipe, support tube, drift chamber wall



Signal extraction method - overview

- LLP fully reconstructed – signal appears as a mass peak
- Fit m distribution assuming background only – obtain background shape
- Scan for a signal peak on top of the background, in steps of 2 MeV
- For each scan point, determine signal significance

$$S(m_0) = \pm \sqrt{-2 \log \frac{L_0}{L_1}}$$

Mass @ scan point

Sign of signal yield

Maximum likelihood with background-only hypothesis

Maximum likelihood with background+signal hypothesis

Probability density functions (PDFs)

- **Signal:**

$$- P_S \propto R \left[\frac{(m - m_0)}{\sigma_m} \right]$$

The event's measured mass

Scan point hypothesized mass

The event's mass uncertainty

Resolution function from signal simulation, evaluated at 12 masses for each mode

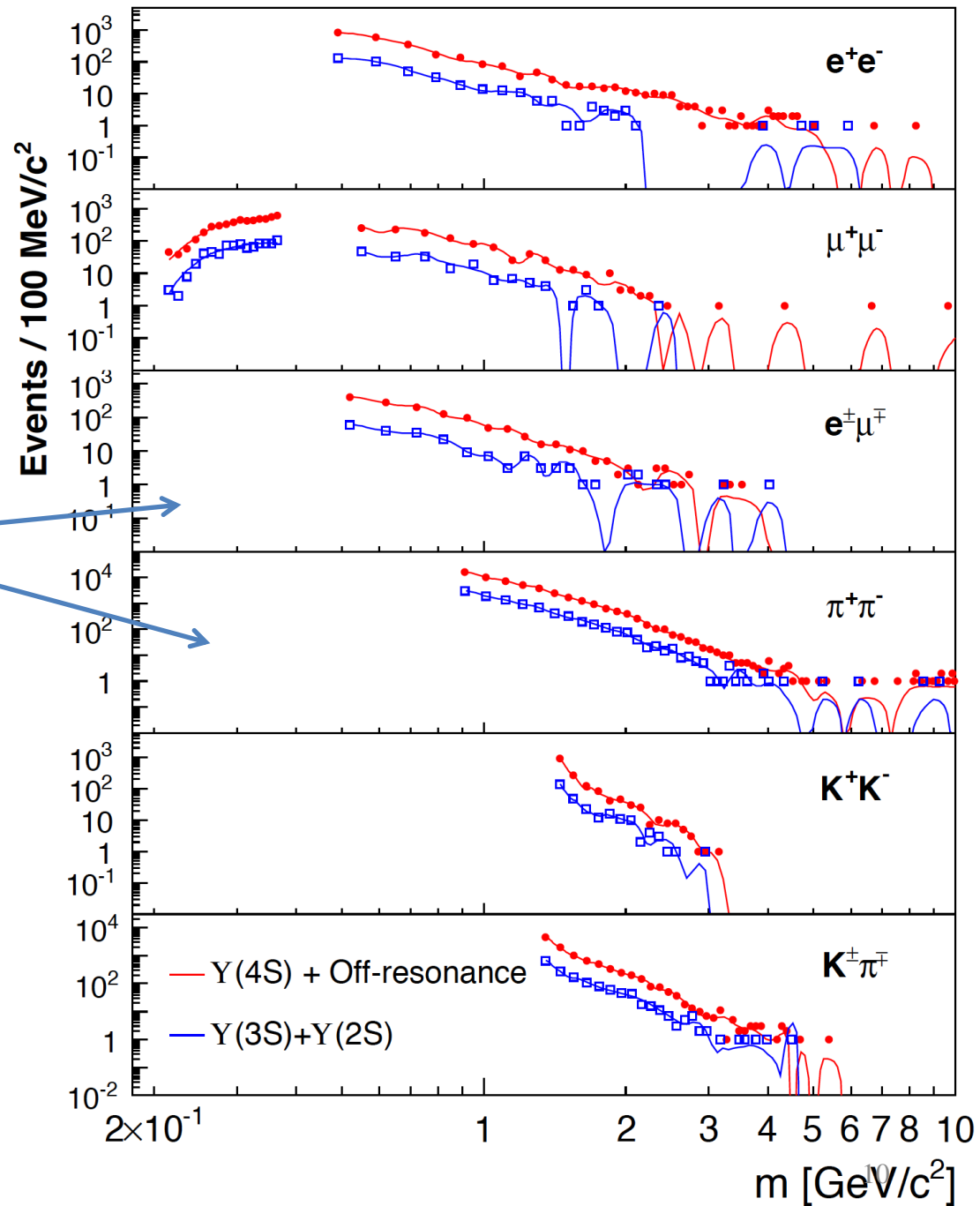
- **Background:**

- $P_B = 2^{\text{nd}}$ -order polynomial spline with knots separated by 15 times the signal mass resolution (mass-dependent)

- Gives optimal balance b/w signal sensitivity and low fake-signal rate
- At low mass, optimum found only in $\mu^+ \mu^-$ mode.
Low-mass regions discarded in other modes

Mass fits

Low-mass discarded regions



$S(m_0) < 3$ everywhere but at two points in the $\mu\mu$ mode:

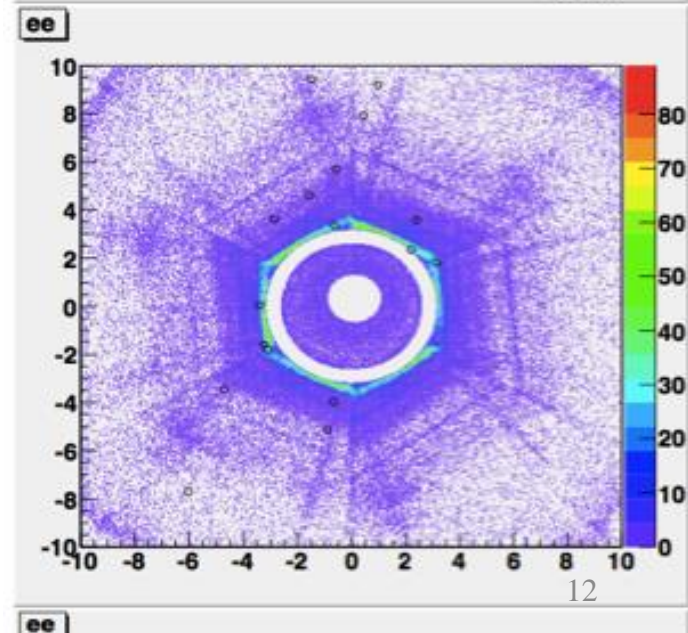
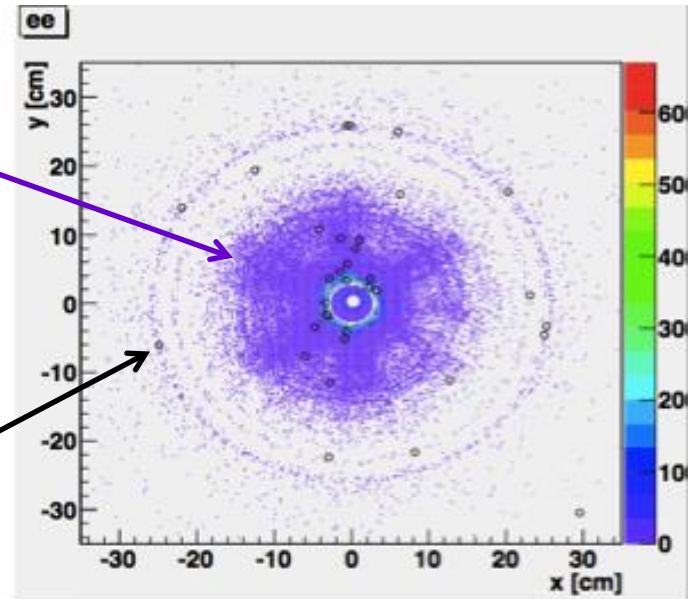
Highest-significance points

- $m_{\mu\mu} = 0.212$ GeV:
 - $S = 4.7$
 - 13 signal events
 - P-value = 4×10^{-4} with look-elsewhere effect in $m_{\mu\mu} < 0.37$ GeV

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 - $S = 4.7$
 - 13 signal events
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 - More than 50% of the candidates are in or near material regions
 - All have $0.2 < p < 0.3$ GeV, where $e - \mu$ discrimination is small.
 - Look like γ conversions

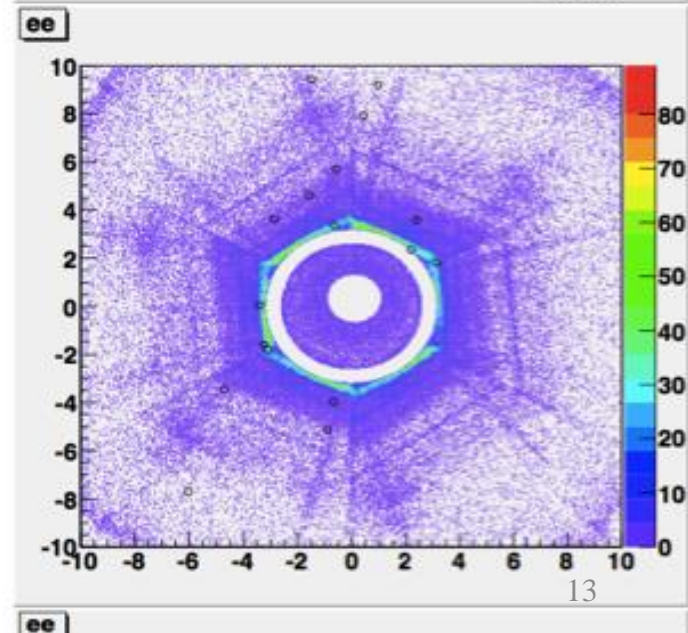
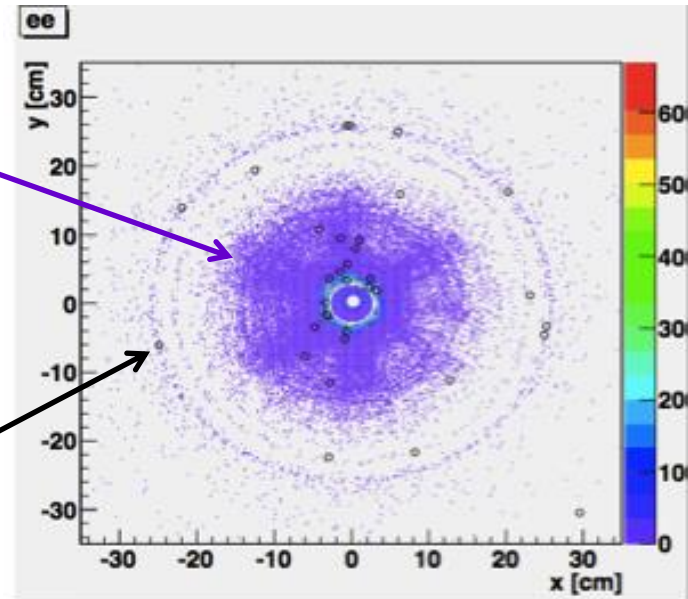
γ conversion,
 $m_{ee} < 10$ MeV



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 - Look like γ conversions
- $m_{\mu\mu} = 1.24$ GeV:
 - $S = 4.2$
 - 10 signal events
 - P-value = 8×10^{-3} with look-elsewhere effect in $m_{\mu\mu} > 0.5$ GeV

γ conversion,
 $m_{ee} < 10$ MeV

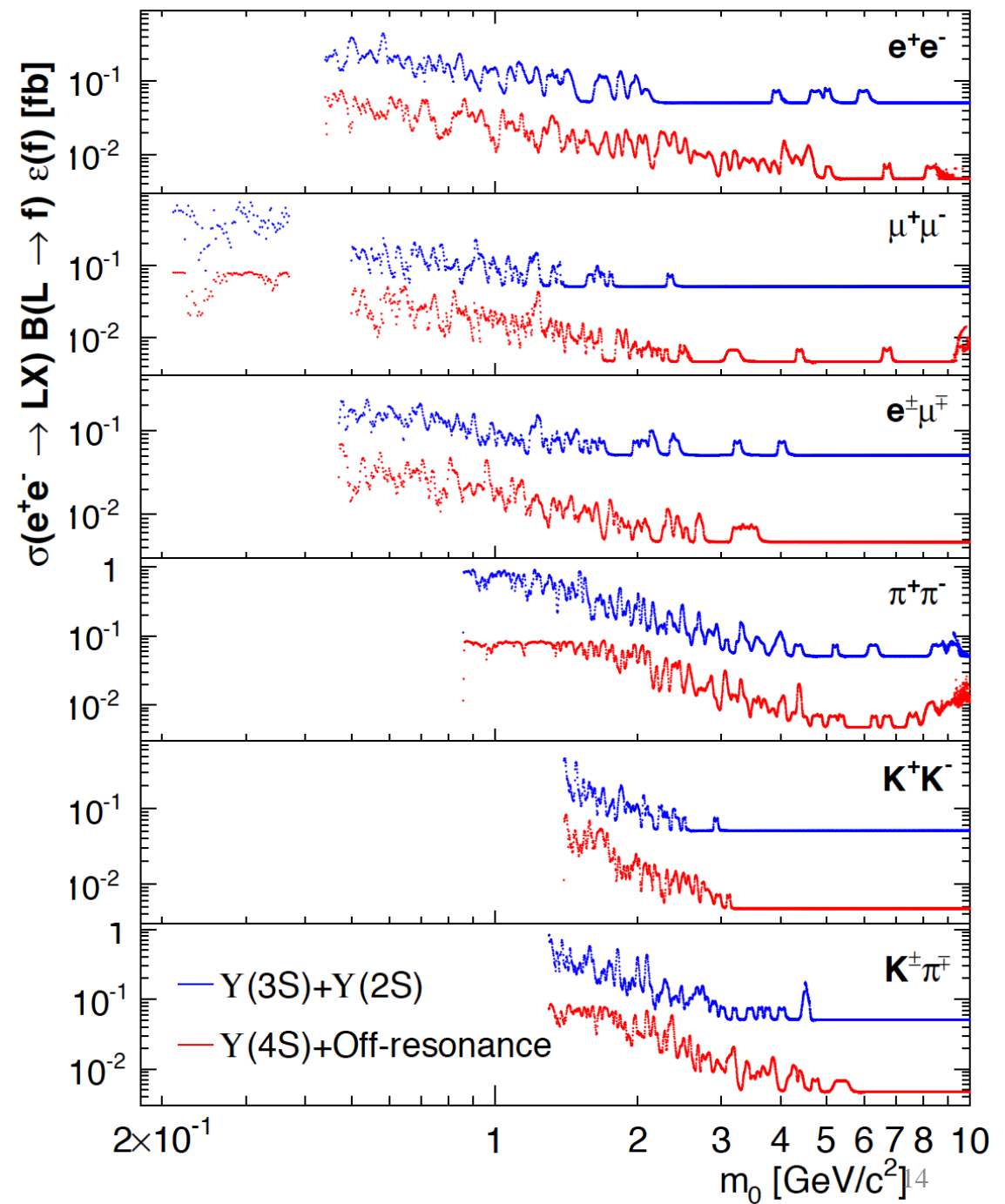


Model-independent upper limits on $\sigma B\epsilon$ @ 90% CL

Include systematic errors on

- P_B spline binning
- P_S dependence on r, m, p_T
- Signal mass resolution

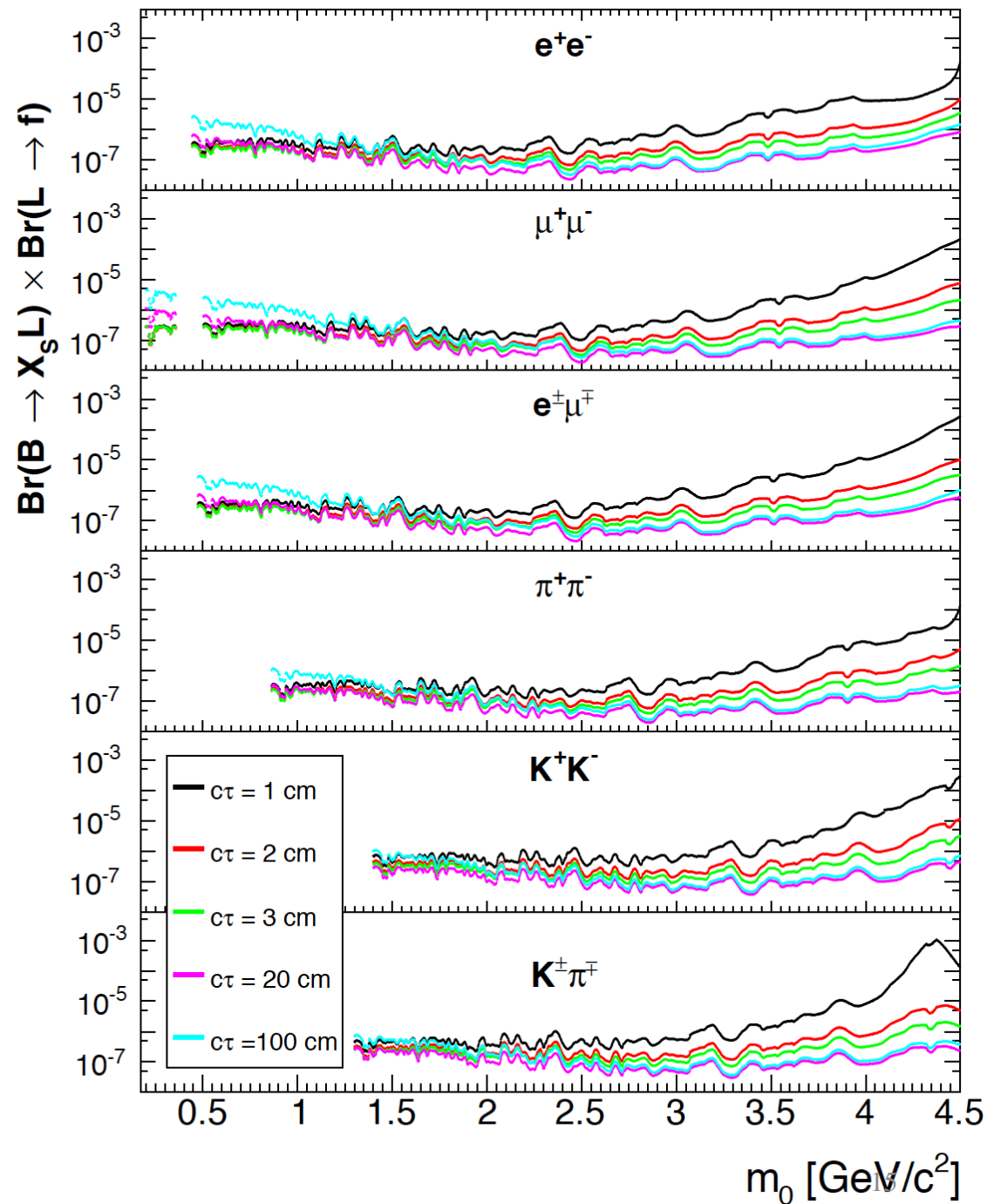
- Provide an efficiency table for each channel as a function of $m, c\tau, p_T$,
- Limits can be recast for any model one simulates



Higgs-portal upper limits for $B \rightarrow X_S L$ with different L lifetimes

Include also systematic errors on

- Luminosity
- Reconstruction efficiency
- Monte Carlo statistics



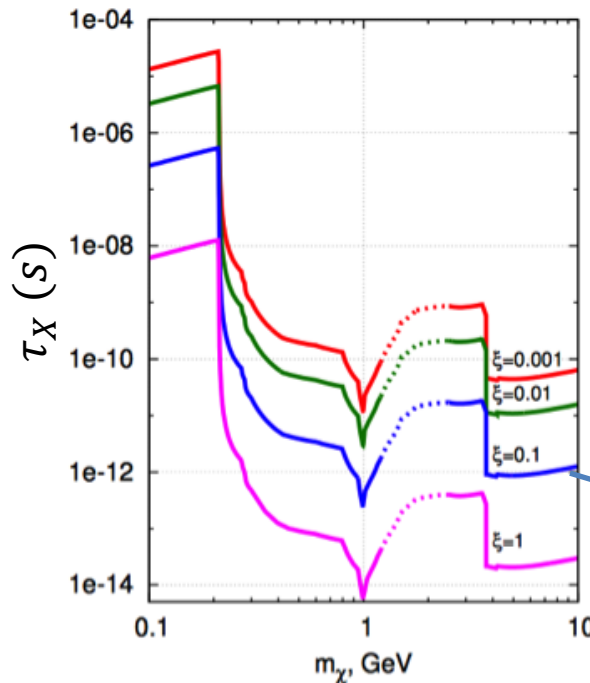
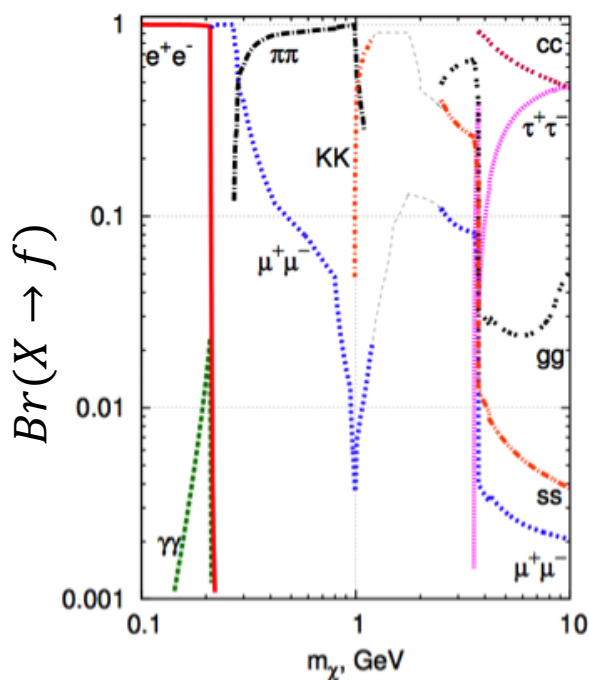
Summary

- First $O(\text{GeV})$ mass-range search to use the long lifetime as the main signature
- Model-independent limits + efficiency tables for application to any model
- Model-dependent limits for Higgs-portal scenario
- Outlook:
 - Similar measurements can be done at Belle with \sim twice the integrated luminosity
 - Belle-II will have ~ 30 times the BABAR+Belle luminosity

Backup

More about the inflaton model

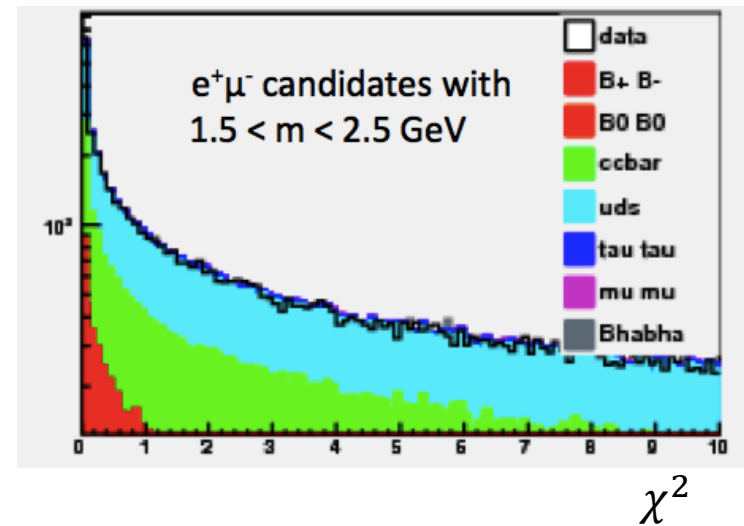
- The inflaton mixes with the SM Higgs via $-\lambda \left(H^+ H - \frac{\alpha}{\lambda} X^2 \right)^2$ Lagrangian term
- Sizable production rate: $B(B \rightarrow XX_S) \approx 4.8 \times 10^{-6} \left(1 - \frac{m_X^2}{m_b^2} \right) \left(\frac{2\alpha/\lambda}{10^{-6}} \right)$



$$\mathcal{L}_{\text{grav}} = -\frac{M_P^2 + \xi X^2}{2} R,$$

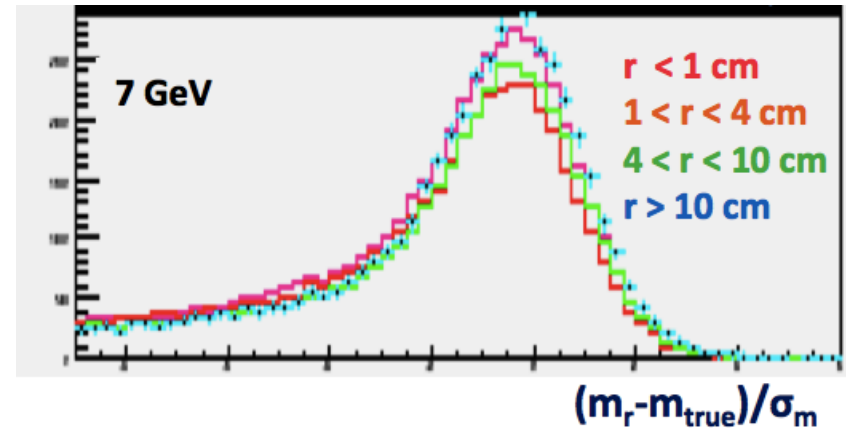
Data-MC comparison

- Used loose-cut skim as a control sample
- Generally see good data-MC agreement in all variables, modes, mass ranges.
- Note: analysis does not depend on data-MC agreement



Signal PDF

- Mass uncertainty σ_m changes greatly with vertex m , r , boost
- But mass resolution function is quite stable wrt. the candidate's estimated σ_m
- So construct each event's PDF from its σ_m and the signal-MC resolution function histogram (obtained @ 12 mass points)

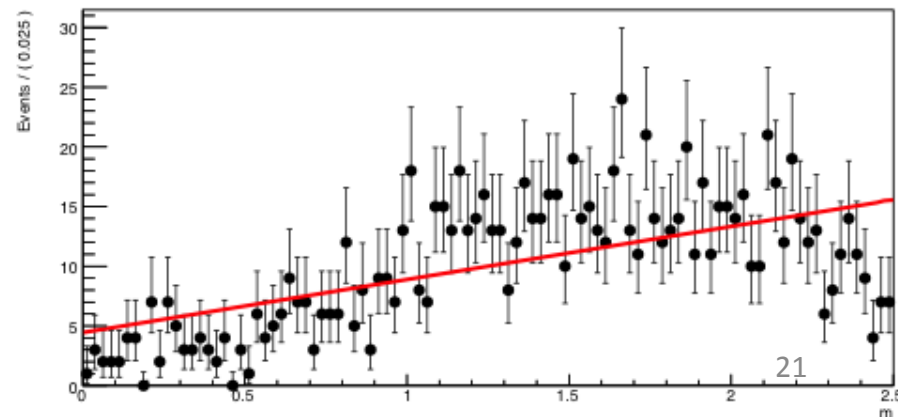
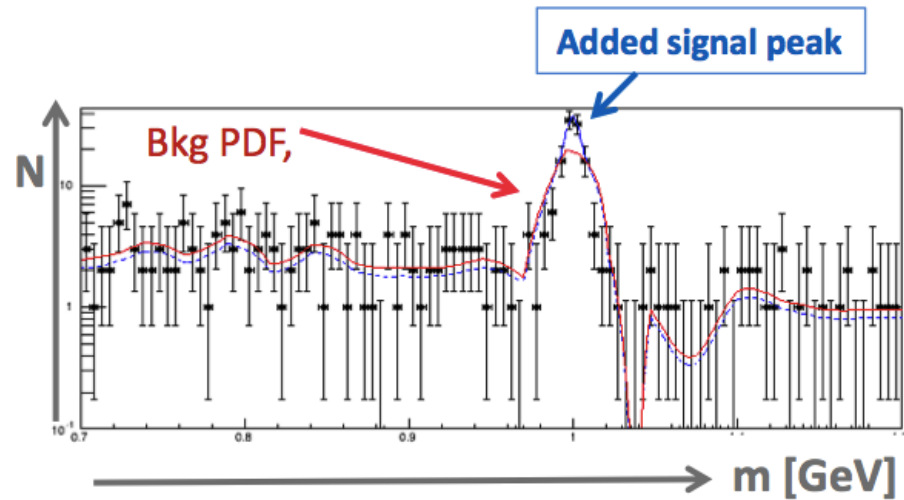


Background PDF

- Taken from the data (and validated on MC)
- Spline bin width W has to be

– Large enough not to hide true signal peaks:

– Small enough not to cause large fake-signal peaks



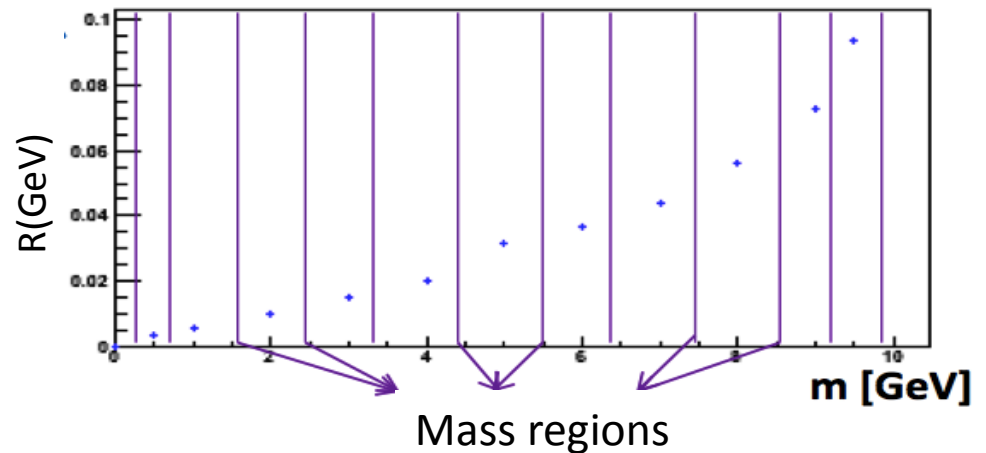
Background PDF

- Mass-dependent bin width set to

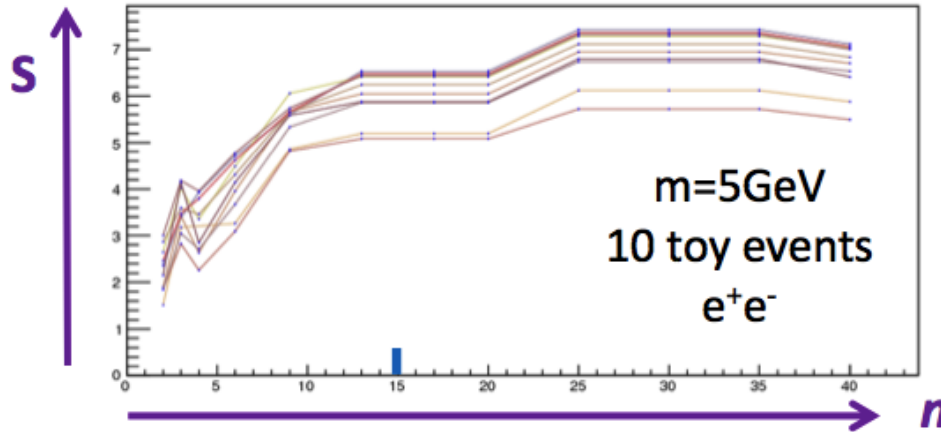
$$W = nR$$

Scale factor chosen to be 15

RMS width of the signal m distribution

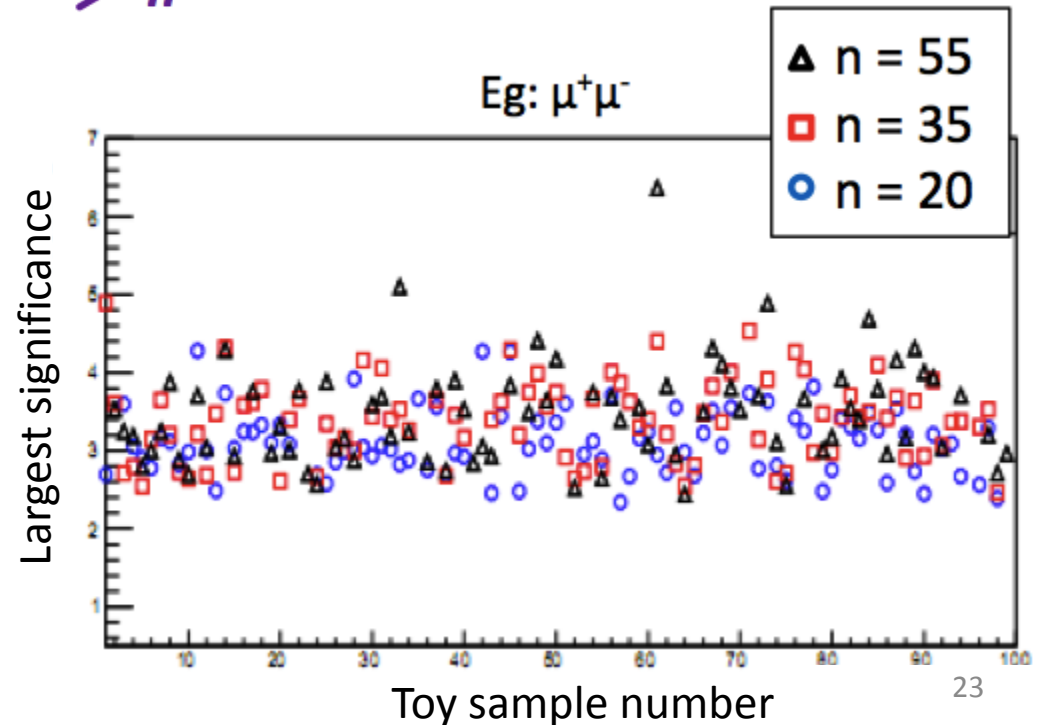


Optimal n determination, examples



n large enough
not to hide
true signal peaks

n small enough
not to cause large
fake-signal peaks



Except for $\mu^+\mu^-$ mode,
method not appropriate for
masses below Ks veto, due to
fine structure seen in MC.