

Using CMB spectral distortions to distinguish between dark matter solutions to the small-scale crisis

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Based on work done in collaboration with
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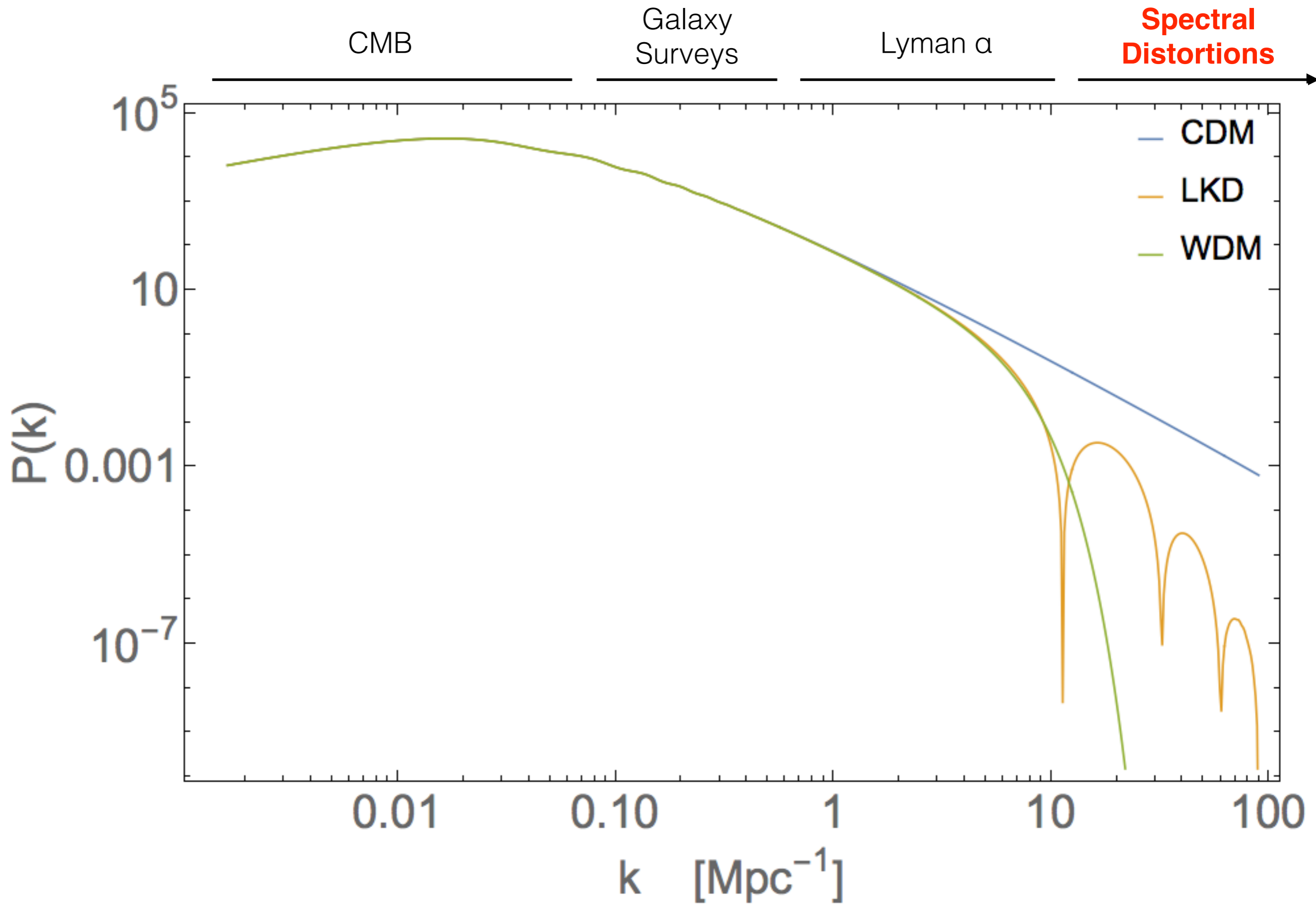


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Goals

- To give an introduction to CMB Spectral Distortions
 - To discuss 2 Dark Matter scenarios
 - Late Kinetic Decoupling from photons (LKD_γ)
 - Late Kinetic Decoupling from neutrinos (LKD_ν)
- } (LKD)
- To point out interesting physical effects occurring in these models
 - To show that spectral distortions can be used to distinguish these models and distinguish them from other solutions to the small-scale structure problems.

Motivation

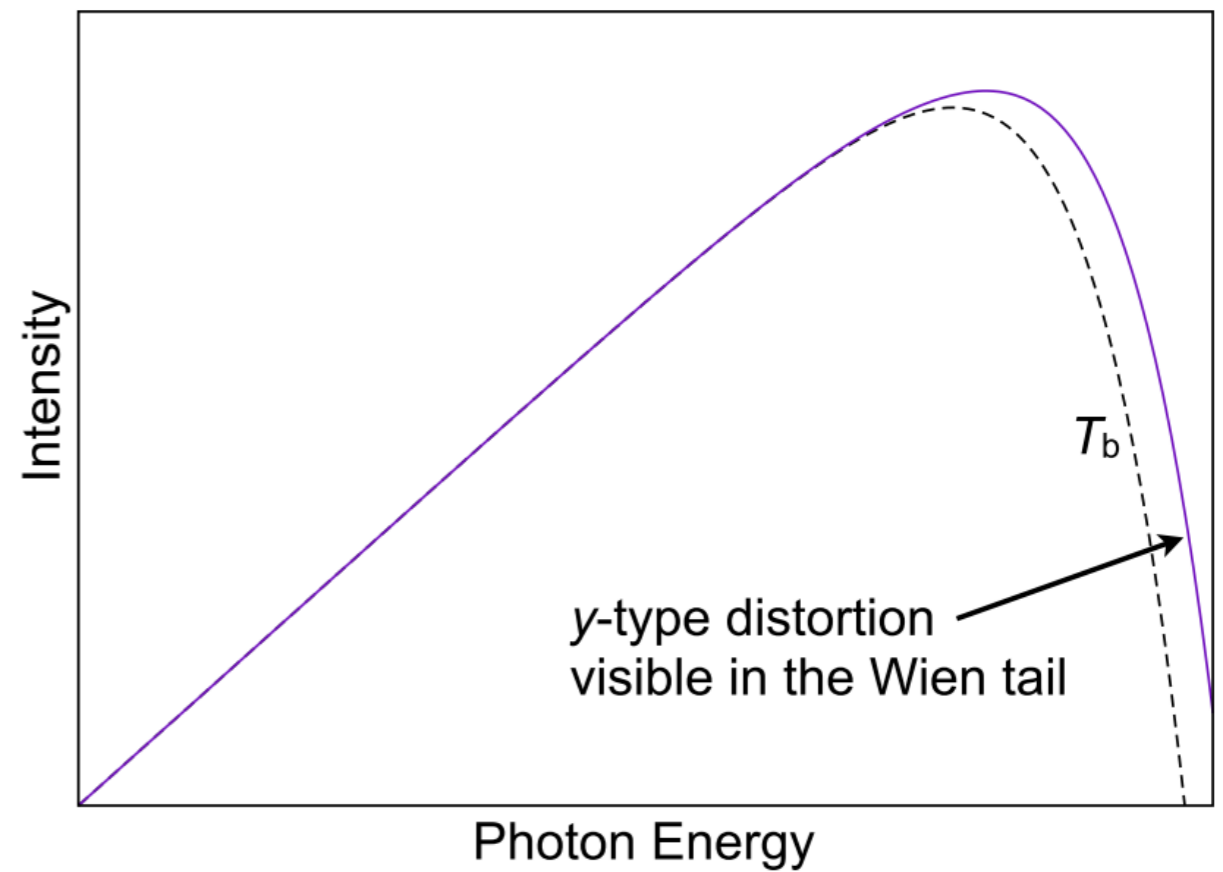
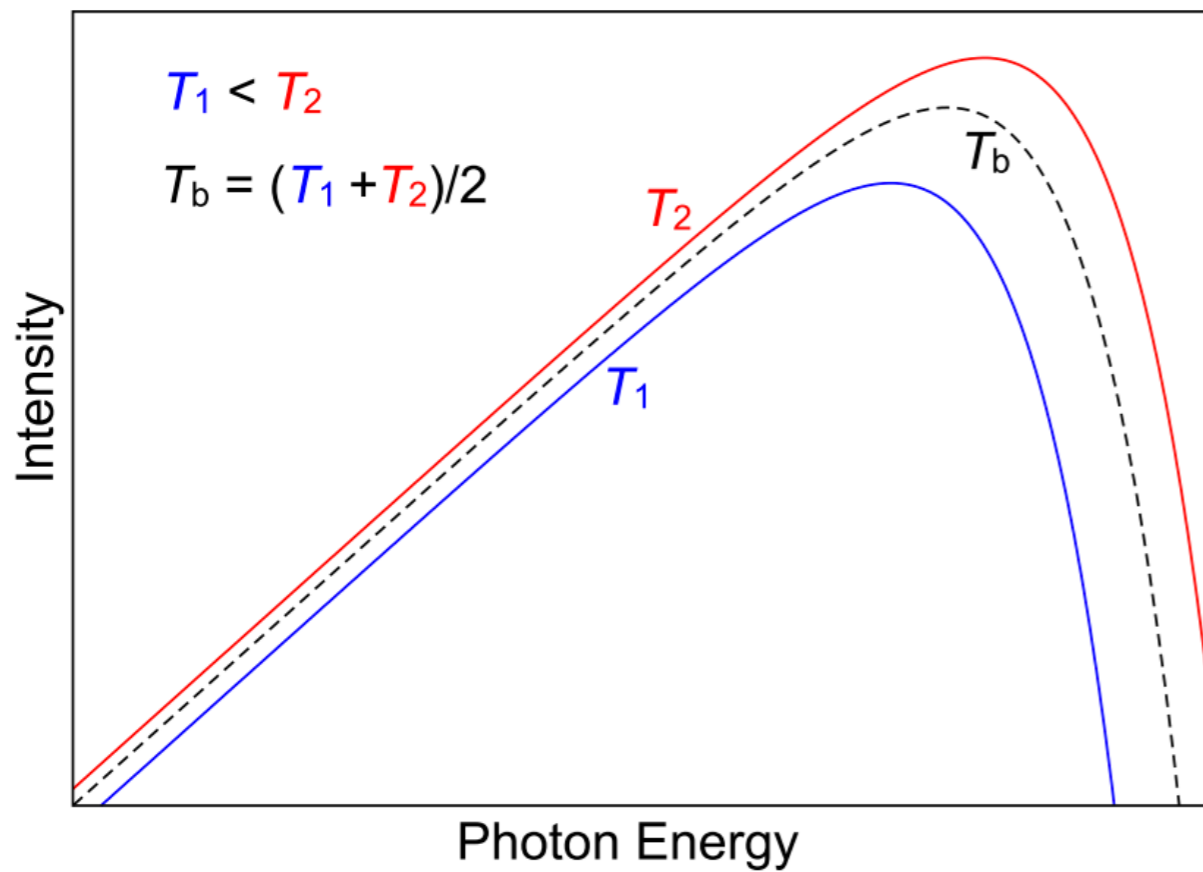
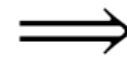
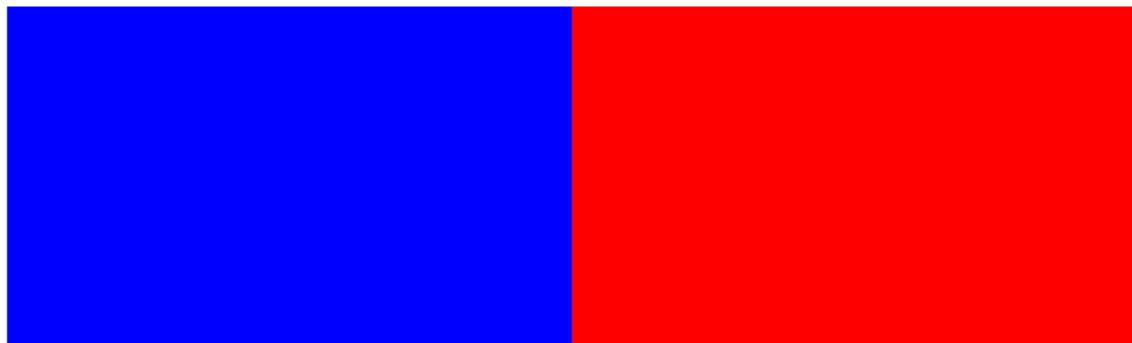


What is a Spectral Distortion?

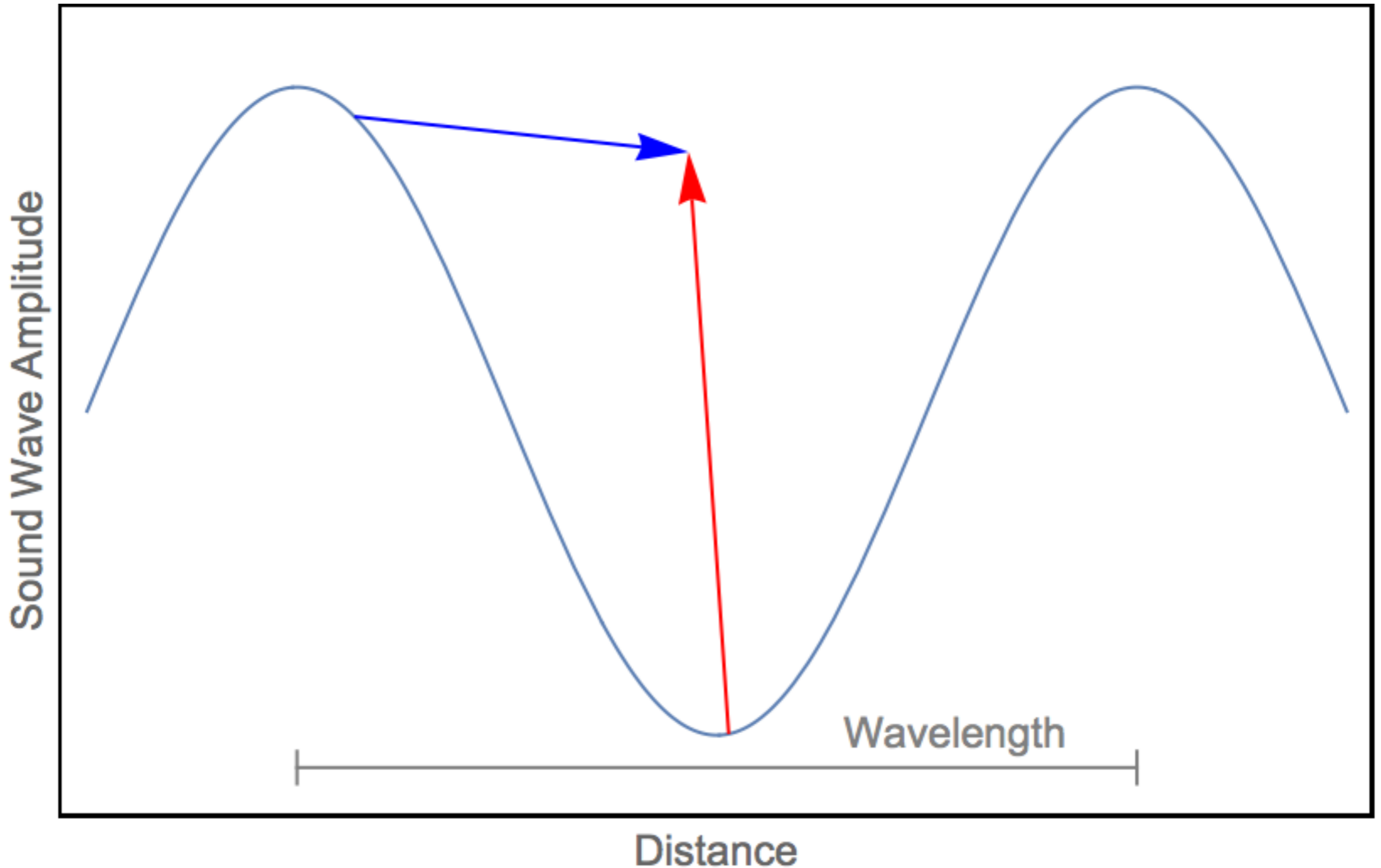
Blackbody spectra

Photon mixing

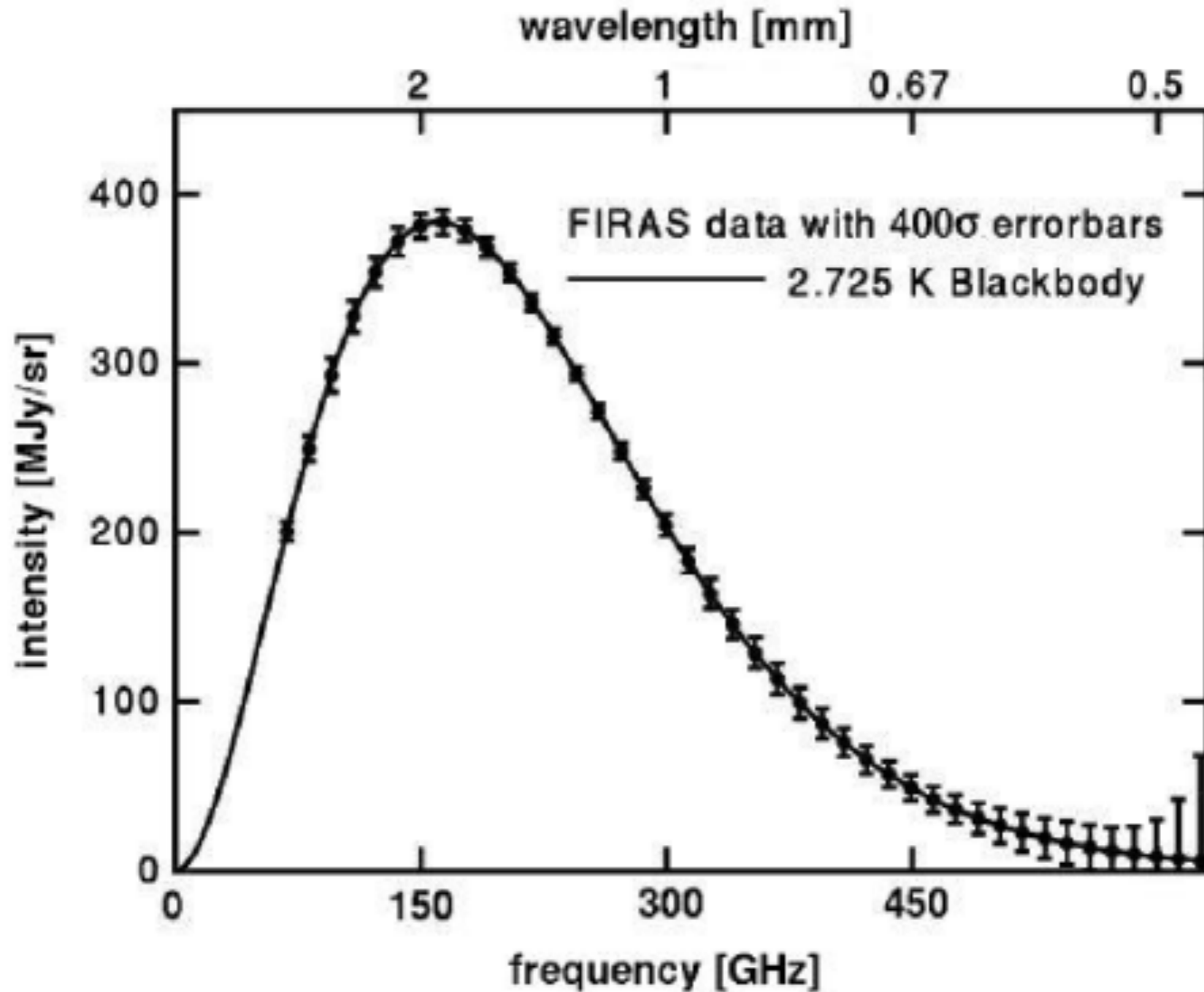
Blackbody + y -distortion



How do Spectral Distortions occur?



Detection of Spectral Distortions



Heating Rate

- The heating rate of CMB photons due to dissipation of small-scale acoustic modes is:

$$\frac{d(Q/\rho_\gamma)}{dz} \approx \frac{64c^2}{15\mathcal{H}\dot{\kappa}} \int \frac{dk}{2\pi^2} k^4 P_{\mathcal{R}}(k) (\Theta_1^2 + \dots).$$

$$\text{Heating Rate} \approx \text{Const factors} \int \text{Primordial Power Spectrum} \left(\text{Photon Temp Transfer Functions} \right).$$

- The photon temperature transfer function has the form:

$$\Theta_1 \approx A \left(\frac{c_s}{c} \right) \sin(kr_s) \exp\left(-\frac{k^2}{k_D^2}\right).$$

$$\text{Photon Temp Transfer Function} \approx \text{Const factors} \quad \text{Acoustic oscillations} \quad \text{Diffusion damping}$$

Late Kinetic Decoupling from Neutrinos (LKD ν)

- Equations of motion for a coupled neutrino-DM fluid.

$$\begin{aligned}
 \dot{\theta}_\nu &= k^2 \psi + k^2 \left(\frac{1}{4} \delta_\gamma - \sigma_\gamma \right) - \dot{\mu} (\theta_\nu - \theta_{\text{DM}}), \\
 \dot{\theta}_{\text{DM}} &= k^2 \psi - \mathcal{H} \theta_{\text{DM}} - S^{-1} \dot{\mu} (\theta_{\text{DM}} - \theta_\nu).
 \end{aligned}$$

Velocity Divergence $\rightarrow \dot{\theta}_\nu$
 Gravitational Source $\rightarrow k^2 \psi$
 Density perturbation $\rightarrow \frac{1}{4} \delta_\gamma$
 Anisotropic Stress $\rightarrow \sigma_\gamma$
 Neutrino-DM interactions $\rightarrow -\dot{\mu} (\theta_\nu - \theta_{\text{DM}})$ and $-S^{-1} \dot{\mu} (\theta_{\text{DM}} - \theta_\nu)$

- Interaction rate for neutrino-DM scattering

$$\dot{\mu} = a \sigma_{\text{DM}-\nu} c n_{\text{DM}}$$

- Interaction rate for photon-baryon scattering

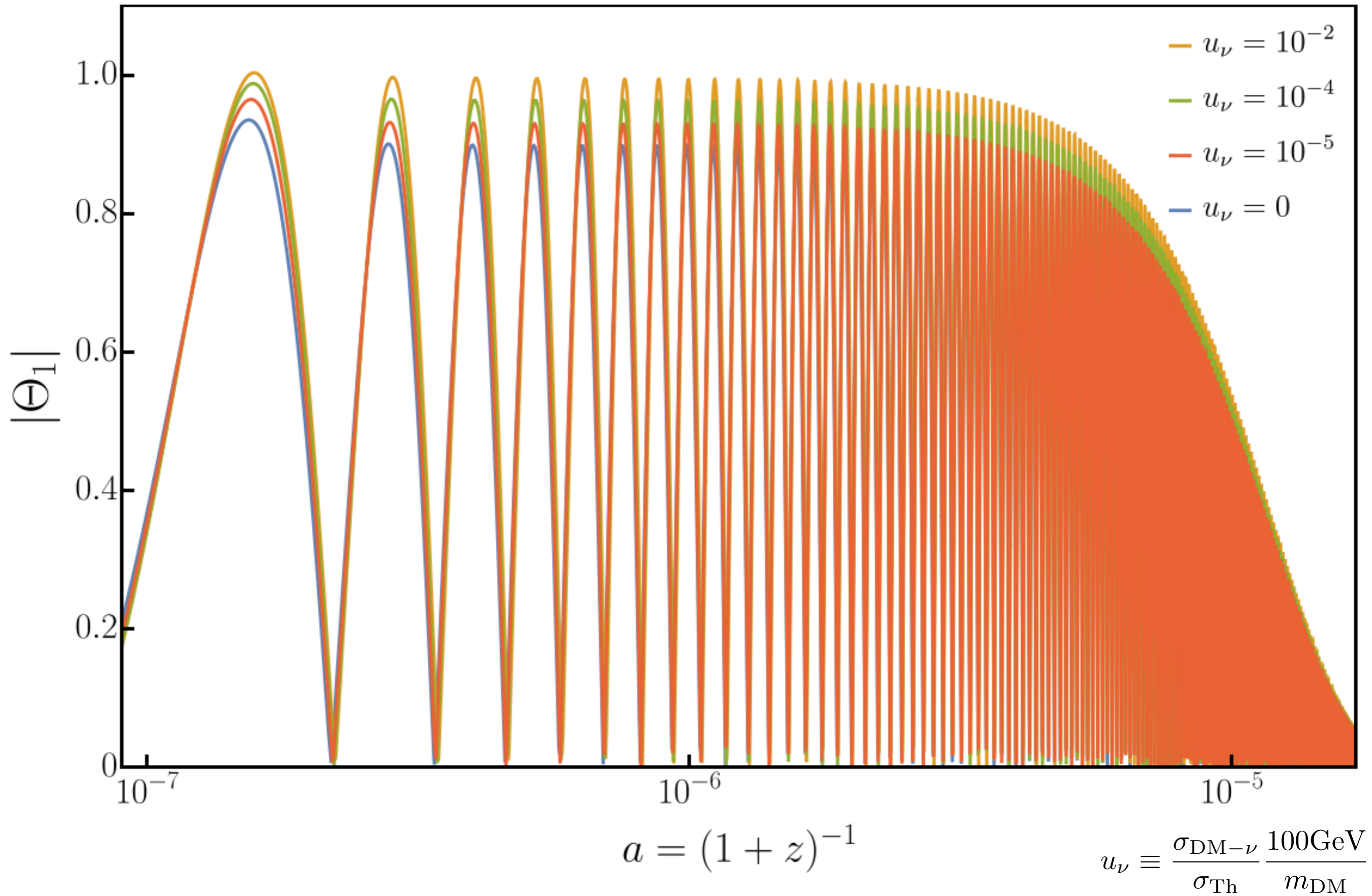
$$\dot{\kappa} = a \sigma_{\text{Th}} c n_e$$

- $\dot{\kappa}/\dot{\mu}$ is proportional to

$$u_\nu \equiv \frac{\sigma_{\text{DM}-\nu}}{\sigma_{\text{Th}}} \frac{100 \text{ GeV}}{m_{\text{DM}}}$$

Transfer Functions (LKD ν)

$k = 100 \text{ Mpc}^{-1}$



How can we understand the physics?

- The photon temperature transfer function has the form:

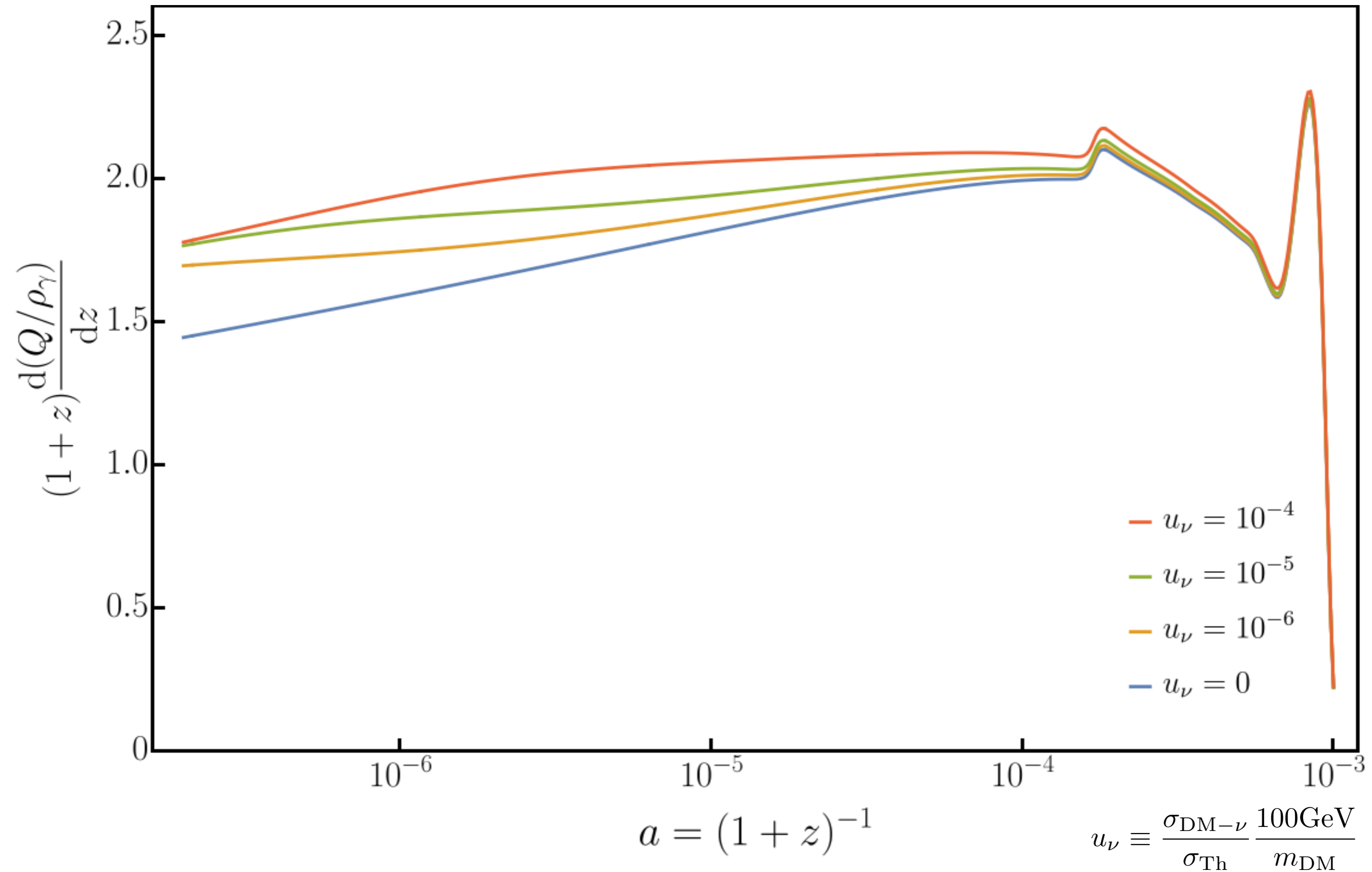
$$\Theta_1 \approx A \left(\frac{c_s}{c} \right) \sin(kr_s) \exp \left(-\frac{k^2}{k_D^2} \right).$$

Where $A = \frac{1}{1 + \frac{4}{15} f_\nu}$ and $f_\nu = \frac{\rho_\nu}{\rho_\gamma + \rho_\nu} \simeq 0.41$

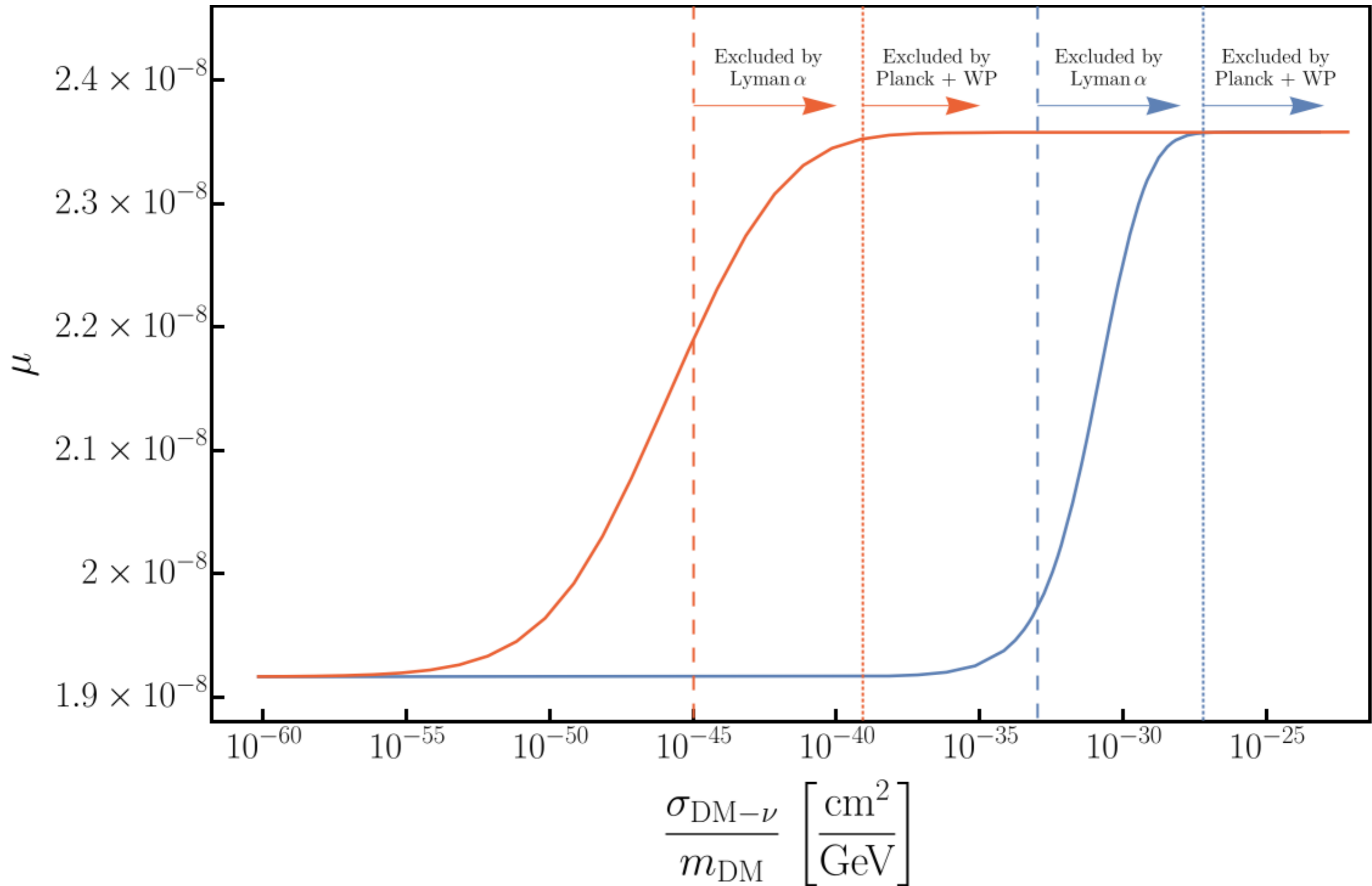
- Neutrinos normally don't participate in acoustic oscillations as they **stream** freely.
 - When coupled to DM they 'cluster' more efficiently and participate in acoustic oscillations as photons.
- ⇒ Overall increase in oscillation amplitude.

Heating Rate (LKD ν)

$$\mathcal{A}_i = 1$$



Expected μ – distortion (LKD ν)



Late Kinetic Decoupling from Photons (LKD γ)

- Equations of motion for a coupled photon-baryon and photon-DM fluid.

Velocity Divergence

Gravitational Source

Expansion

Density perturbation

Baryon-photon coupling

Photon-DM coupling

$$\dot{\theta}_b = k^2 \psi - \mathcal{H} \theta_b + c_s^2 k^2 \delta_b - R^{-1} \dot{\kappa} (\theta_b - \theta_\gamma),$$

$$\dot{\theta}_\gamma = k^2 \psi + k^2 \left(\frac{1}{4} \delta_\gamma - \sigma_\gamma \right) - \dot{\kappa} (\theta_\gamma - \theta_b)$$

$$- \dot{\mu} (\theta_\gamma - \theta_{\text{DM}}),$$

$$\dot{\theta}_{\text{DM}} = k^2 \psi - \mathcal{H} \theta_{\text{DM}} - S^{-1} \dot{\mu} (\theta_{\text{DM}} - \theta_\gamma).$$

- Interaction rate for photon-DM scattering

$$\dot{\mu} = a \sigma_{\text{DM}-\gamma} c n_{\text{DM}}$$

- Interaction rate for photon-baryon scattering

$$\dot{\kappa} = a \sigma_{\text{Th}} c n_e$$

- $\dot{\kappa}/\dot{\mu}$ is proportional to

$$u_\gamma \equiv \frac{\sigma_{\text{DM}-\gamma}}{\sigma_{\text{Th}}} \frac{100 \text{ GeV}}{m_{\text{DM}}}$$

R. Wilkinson, J. Lesgourgues and C. Boehm (2013)
1309.7588

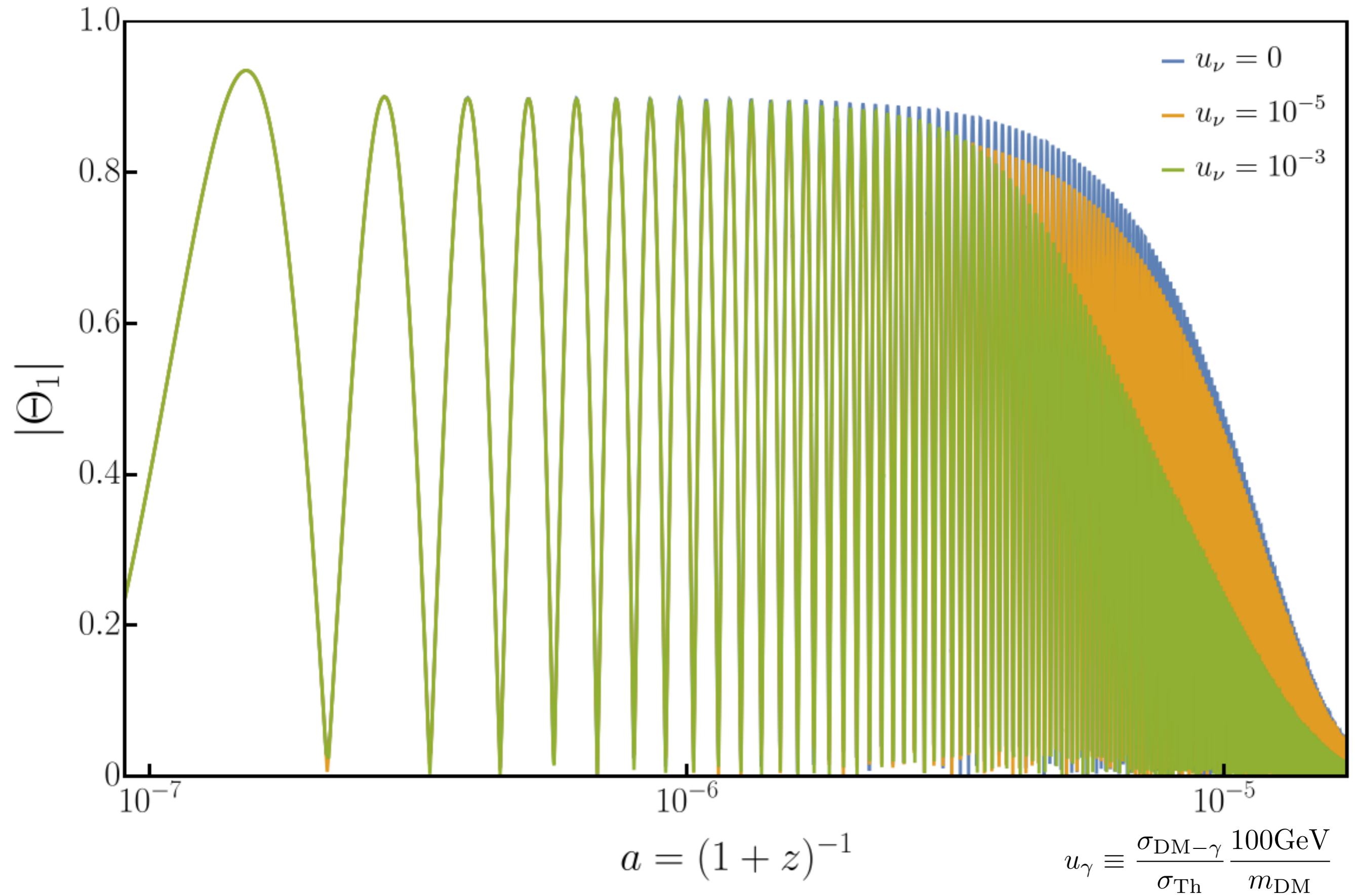
Heating Rate needs to be modified

$$\frac{d(Q/\rho_\gamma)}{dz} = \frac{4a\dot{\kappa}}{\mathcal{H}} \int \frac{k^2 dk}{2\pi^2} P_{\mathcal{R}}(k) \left[\frac{(3\Theta_1 - v_b)^2}{3} + \frac{9}{2}\Theta_2^2 - \frac{1}{2}\Theta_2 (\Theta_0^P + \Theta_2^P) + \sum_{\ell \geq 3} (2\ell + 1)\Theta_\ell^2 \right] \\ + \frac{4a\dot{\mu}_\gamma}{\mathcal{H}} \int \frac{k^2 dk}{2\pi^2} P_{\mathcal{R}}(k) \left[\frac{(3\Theta_1 - v_{\text{DM}})^2}{3} + \frac{9}{2}\Theta_2^2 - \frac{1}{2}\Theta_2 (\Theta_0^P + \Theta_2^P) + \sum_{\ell \geq 3} (2\ell + 1)\Theta_\ell^2 \right],$$

- DM-photon scattering provides a new channel through which small-scale perturbations can be dissipated directly.
- Can be written explicitly in terms of the transfer functions as before

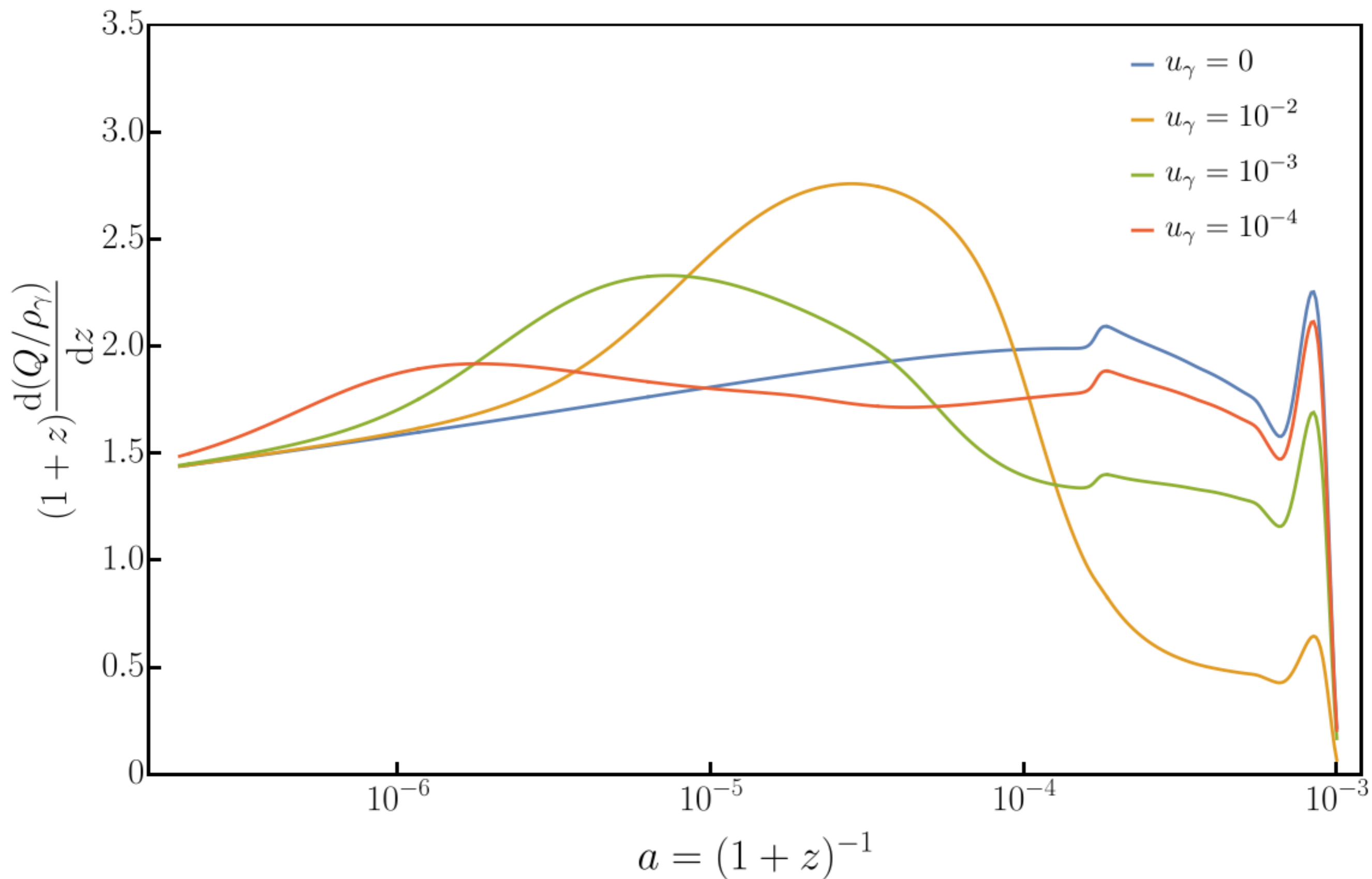
$$\frac{d(Q/\rho_\gamma)}{dz} \simeq \frac{4a}{\mathcal{H}} \int \frac{k^2 dk}{2\pi^2} P_{\mathcal{R}}(k) k^2 \Theta_1^2 \left[\frac{1}{\dot{\kappa} + \dot{\mu}_\gamma} \frac{16}{15} + \frac{3\dot{\mu}_\gamma}{k^2} \left(\frac{k^2}{k^2 + 3S_\gamma^{-2} \dot{\mu}_\gamma^2} \right) \right].$$

Transfer Functions (LKD γ) $k = 100 \text{ Mpc}^{-1}$



Heating Rate (LKD γ)

$$\mathcal{A}_i = 1$$



How can we understand the physics?

- The photon temperature transfer function has the form:

$$\Theta_1 \approx A \left(\frac{c_s}{c} \right) \sin(kr_s) \exp\left(-\frac{k^2}{k_D^2}\right).$$

Where

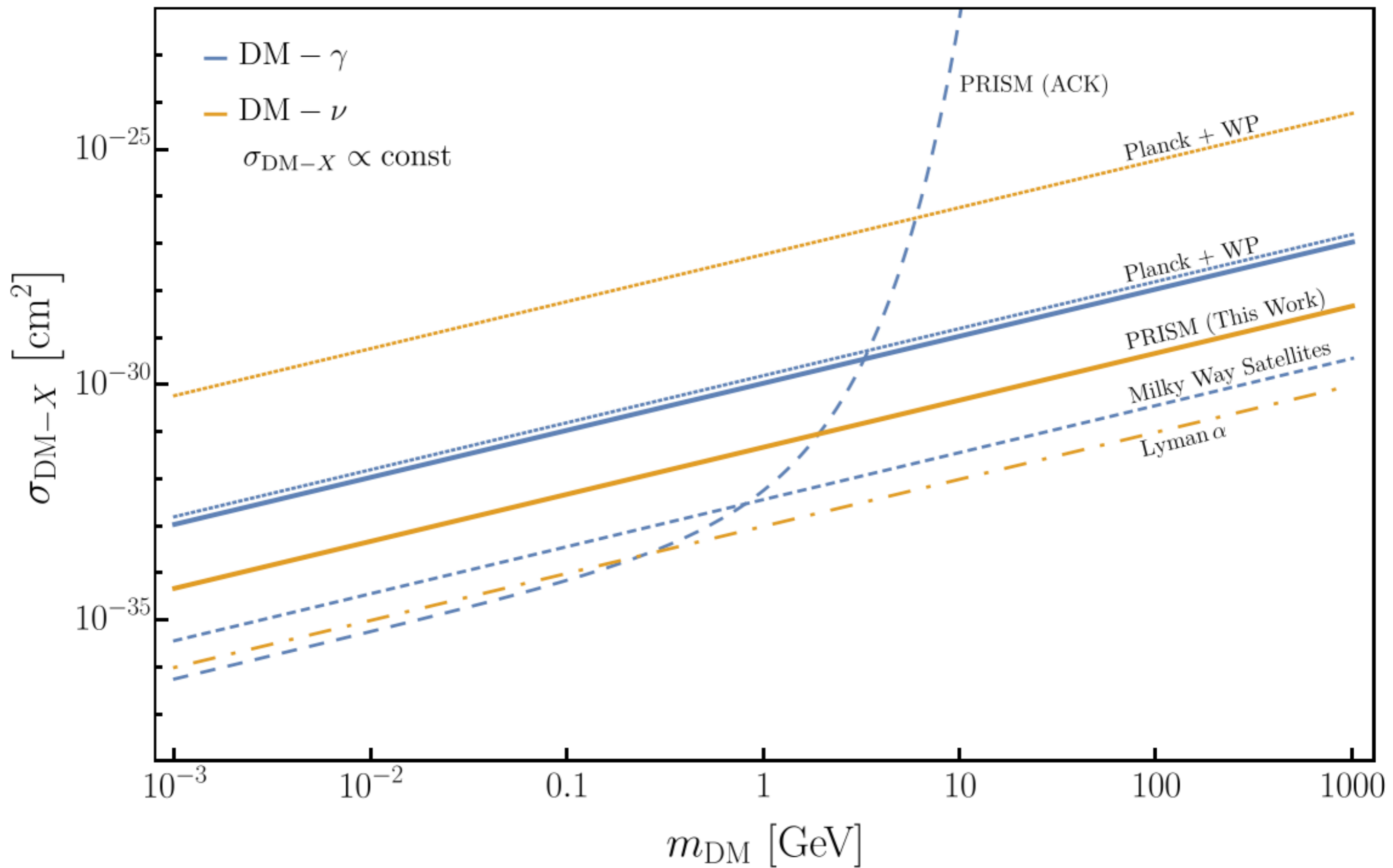
$$\partial_z k_D^{-2} \simeq -\frac{a}{6\mathcal{H}} \left(\frac{1}{\dot{\kappa} + \dot{\mu}} \frac{16}{15} + \frac{3\dot{\mu}}{k^2} \left(\frac{k^2}{k^2 + 3(S^{-1}\dot{\mu})^2} \right) \right)$$

Diffusion Damping \simeq Viscosity $+$ Heat Conduction

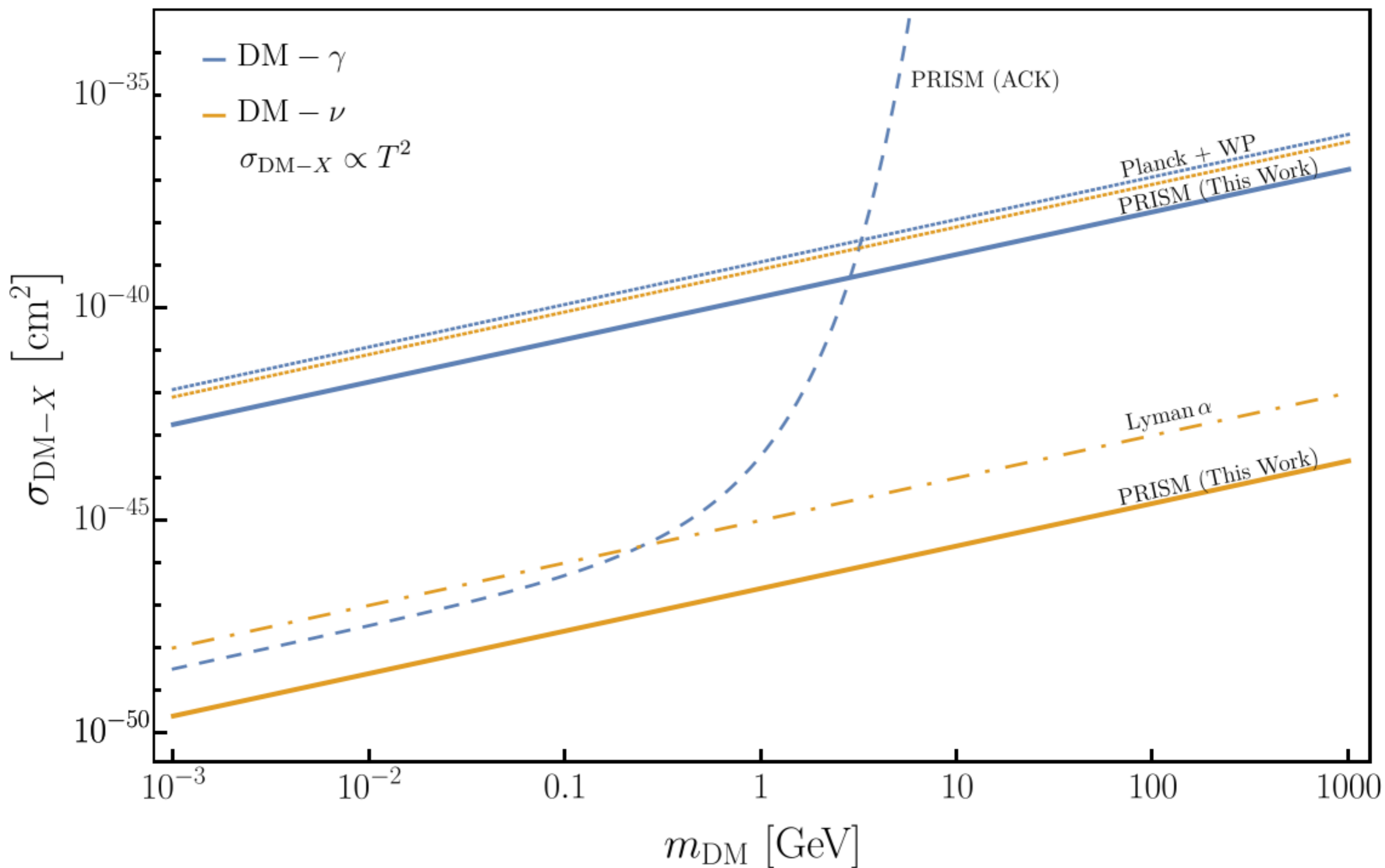
- The extra term due to heat conduction is also present for a photon-baryon fluid but suppressed during tight-coupling.
- Heating Rate is damped due to additional viscosity of the fluid and enhanced due to additional heat conduction.

\Rightarrow Competing effects dominate at different times

Projected Constraints (PRISM)



Projected Constraints (PRISM)



Conclusions

- Spectral Distortions offer a unique probe of physics on extremely small-length scales in the early universe.
- They can be used to probe models of late kinetic decoupling and distinguish them from other solutions to the small-scale structure problems.
- Future Experiments such as PRISM can set competitive bounds on the elastic scattering cross sections between DM and SM particles.
- New physics effects such as the change of the diffusion damping scale in the presence of a weakly coupled DM-photon system warrant further study.