

Chiral Belle:

Upgrading SuperKEKB with a Polarized Electron Beam

J. Michael RoneyUniversity of Victoria7 June 2022

On behalf of the Belle II/SuperKEKB e- Polarization Upgrade Working Group





Chiral Belle:

Upgrading SuperKEKB with a Polarized Electron Beam

J. Michael RoneyUniversity of Victoria7 June 2022

Canadian Member of Belle II/SuperKEKB e- Polarization Upgrade Working Group:

C. Hearty, W. Deconinck, M. Gericke, J. Mammei, A. Signori, R. Baartman, T. Planche,

A. Beaubien, T. Junginger, C. Miller, K. Moorthy, Y. Peng, N. Tessema, JMR





Chiral Belle:

Upgrading SuperKEKB with a Polarized Electron Beam

J. Michael RoneyUniversity of Victoria7 June 2022

"Snowmass 2021 White Paper - Upgrading SuperKEKB with a Polarized Electron Beam: Discovery Potential and Proposed Implementation", arXiv:2205.12847v1

Canadian Member of Belle II/SuperKEKB e- Polarization Upgrade Working Group:

C. Hearty, W. Deconinck, M. Gericke, J. Mammei, A. Signori, R. Baartman, T. Planche,

A. Beaubien, T. Junginger, C. Miller, K. Moorthy, Y. Peng, N. Tessema, JMR



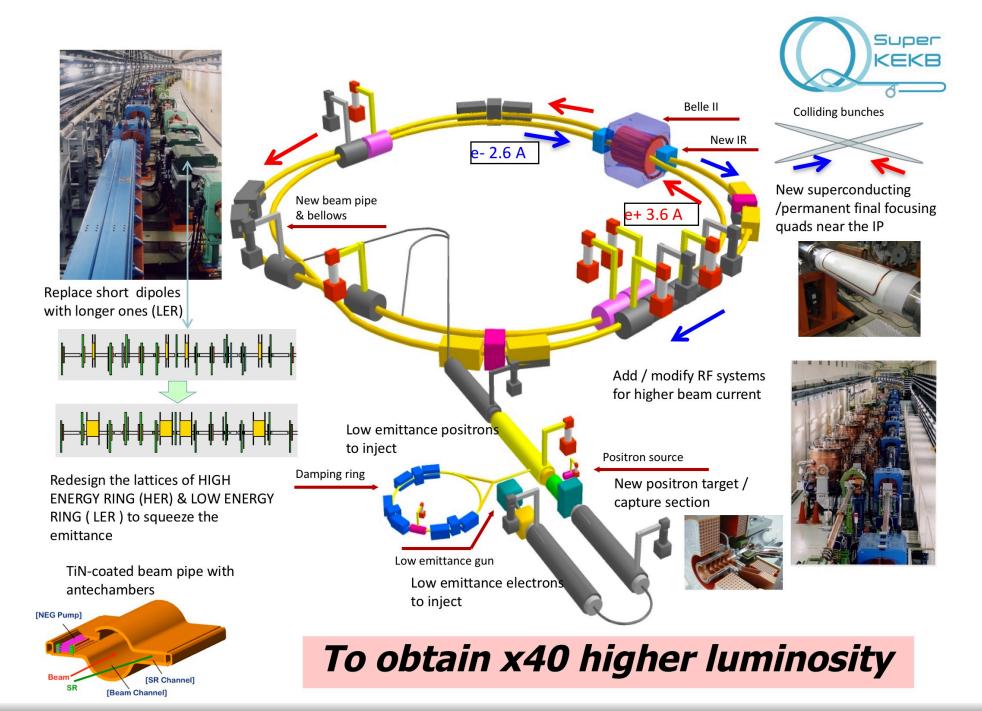
Upgrading SuperKEKB with polarized electrons

Opens New Windows for Discovery with Belle II

- Extremely rich and unique high precision electroweak program
- Probe of Dark Sector
- Polarized Beam also provides:
 - Improved precision measurements of τ Michel Parameters, electric dipole moment (EDM) and information on Magnetic Form factor F_2
 - Reduces backgrounds in $\tau \to \mu \gamma$ and $\tau \to e \gamma$ precision leading to significantly improved sensitivities
- Hadronic studies

See: "Snowmass 2021 White Paper - Upgrading SuperKEKB with a Polarized Electron Beam: Discovery Potential and Proposed Implementation", arXiv:2205.12847v1





A New Path for Discovery in a Precision Neutral Current Electroweak Program

- Left-Right Asymmetries (A_{LR}) yield high precision measurements of the neutral current vector couplings (g_V) to each of five fermion flavours, f:
 - beauty (D-type)
 - charm (U-type)
 - tau
 - muon
 - electron

Recall:
$$g_V^f$$
 gives θ_W in SM
$$\begin{cases} g_A^f = T_3^f \\ g_V^f = T_3^f - 2Q_f \sin^2 \theta_W \end{cases}$$

as well as light quarks

 T_3 = -0.5 for charged leptons and D-type quarks +05 for neutrinos and U-type quarks

'Chiral Belle' -> Left-Right Asymmetries

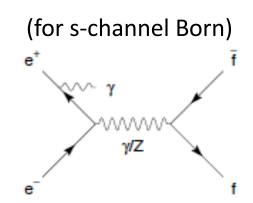
- •Measure difference between cross-sections with left-handed beam electrons and right-handed beam electrons
- •Same technique as SLD A_{LR} measurement at the Z-pole giving single most precise measurement of :

$$\sin^2\theta_{eff}^{lepton} = 0.23098 \pm 0.00026$$

•At 10.58 GeV, polarized e⁻ beam yields product of the neutral axial-vector coupling of the electron and vector coupling of the final-state fermion via $Z-\gamma$ interference:

$$A_{LR} = \frac{\sigma_L - \sigma_R}{\sigma_L + \sigma_R} = \frac{4}{\sqrt{2}} \left(\frac{G_F s}{4\pi\alpha Q_f} \right) g_A^e g_V^f \langle Pol \rangle$$

$$\propto T_3^f - 2Q_f \sin^2 \theta_W$$



'Chiral Belle' Left-Right Asymmetries

Electron helicity would be chosen randomly pulse-to-pulse by controlling the circular polarization of the source laser illuminating a GaAs photocathode.

$$A_{LR} = \frac{\sigma_L - \sigma_R}{\sigma_L + \sigma_R} = \frac{4}{\sqrt{2}} \left(\frac{G_F s}{4\pi\alpha Q_f} \right) \left(\frac{g_A^e g_V^f}{g_A^e g_V^f} \right) Pol \rangle$$

$$\propto T_3^f - 2Q_f \sin^2 \theta_W$$

$$\langle Pol \rangle = 0.5 \left\{ \left(\frac{N_R^{e^-} - N_L^{e^-}}{N_R^{e^-} + N_L^{e^-}} \right)_R - \left(\frac{N_R^{e^-} - N_L^{e^-}}{N_R^{e^-} + N_L^{e^-}} \right)_L \right\}$$

$$= \frac{1}{\sqrt{2}} \left(\frac{N_R^{e^-} - N_L^{e^-}}{N_R^{e^-} + N_L^{e^-}} \right)_R - \frac{N_R^{e^-} - N_L^{e^-}}{N_R^{e^-} + N_L^{e^-}} \right)_L$$

Source generates mainly right-handed electrons

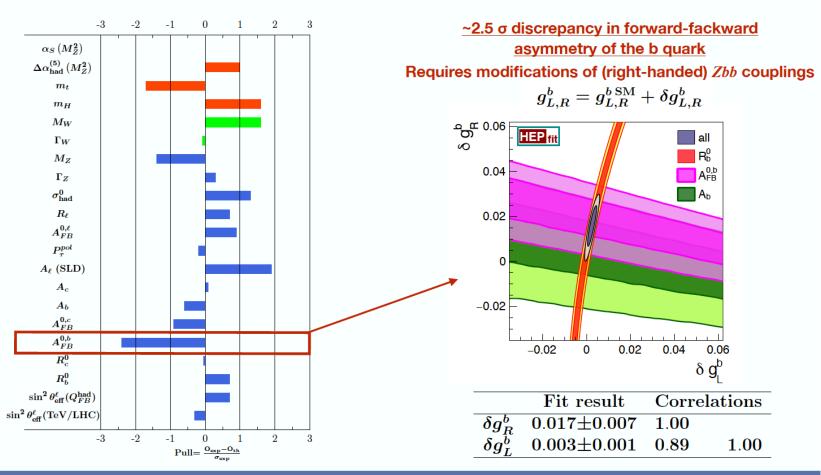
Source generates mainly left-handed electrons

For A_{LR} calculation with NLO corrections for mu-pair final state, see: Aleksejevs, Barkanova, Roney, Zykunov "NLO radiative corrections for Forward-Backward and Left-Right Asymmetries at a B Factory", arXiv:1801.08510

The Standard Model Electroweak fit

SM fit results: Predictions for EWPO

Also good agreement between indirect determination of EWPO and experimental measurements, with one notable exception

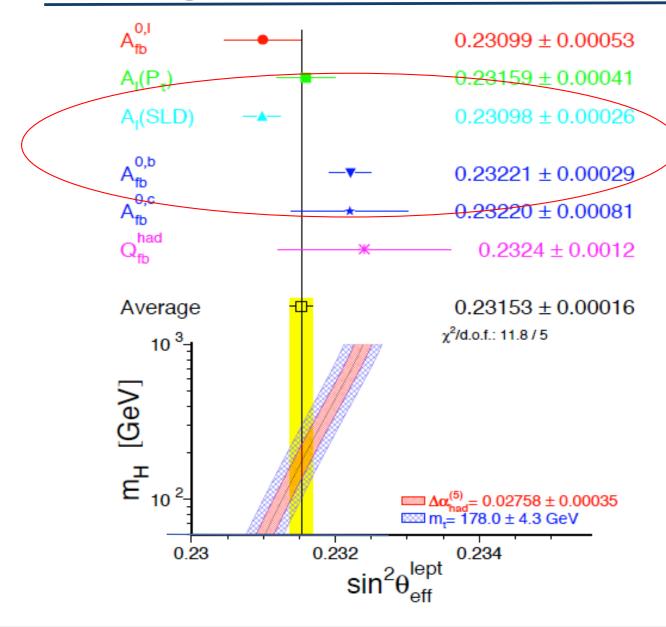


29th International Symposium on Lepton Photon Interactions at High Energies Toronto, August 6, 2019

Jorge de Blas *INFN* - University of Padova

19

Existing tension in data on the Z-Pole:



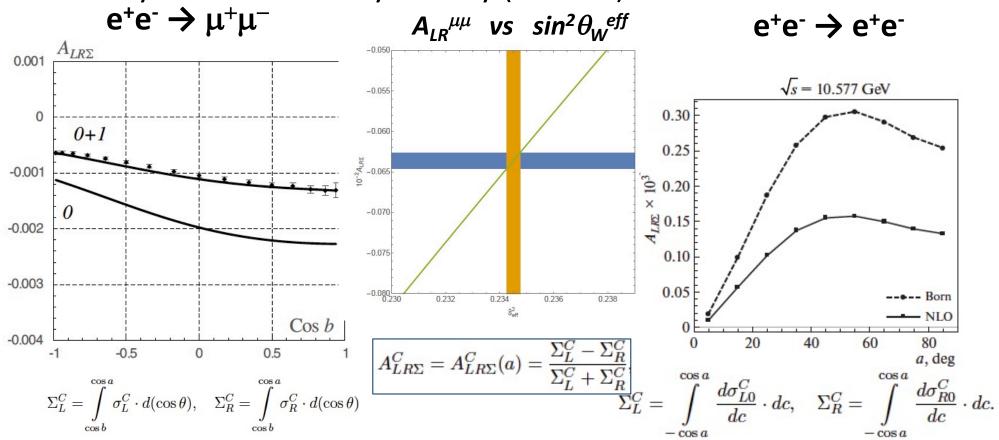
Physics Report Vol 427, Nos 5-6 (2006), ALEPH, OPAL, L3, DELPHI, SLD

 3.2σ comparing only A_{LR} (SLC) and $A^{0,b}_{fh}$ (LEP)

International collaboration of Accelerator and Particle Physicists

➤ Theorists currently working on SM Electroweak calculations:

Aleks Aleksejevs & Svetlana Barkanova, (Memorial U Newfoundland), Vladimir Zykunov & Yu.M.Bystritskiy (DUBNA)



a=10° & energy of photons < 2GeV

Phys.Rev. D101 (2020) no.5, 053003

PHYSICS OF ATOMIC NUCLEI Vol. 83 No. 3 2020

New generator: ReneSANCe

Renat Sadykov (JINR, Dubna) and Vitaly Yermolchyk (JINR Dubna&INP, Misnk), "Polarized NLO EW e+e-e+e- cross section calculations with ReneSANCe-v1.0.0", Comput. Phys. Commun. 256 (2020) 107445; 2001.10755 [hep-ph]

New generator with beam polarization capable of producing Bhabhas.

Polarization in each beam and special mode to efficiently calculate A_{LR} without event generation output.

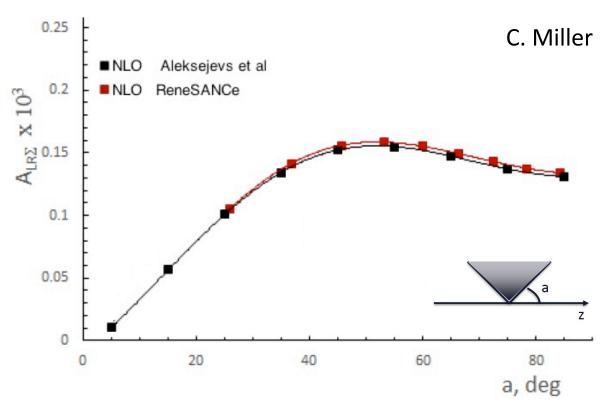
Caleb Miller (Victoria) has been working with authors on use of ReneSANCe for 10.58GeV SuperKEKB polarization application. Now has single beam polarization.

Comparing ReneSANCe with results published in:

A. G. Aleksejevs (Memorial U, Canada), S.G.Barkanova (Memorial U, Canada), Yu.M.Bystritskiy (JINR, Dubna), and V. A. Zykunov (JINR, Dubna& Gomel), "Electroweak Corrections with Allowance for Hard Bremsstrahlung in Polarized Bhabha Scattering", Physics of Atomic Nuclei, 2020, Vol. 83, No. 3, pp. 463–479

12

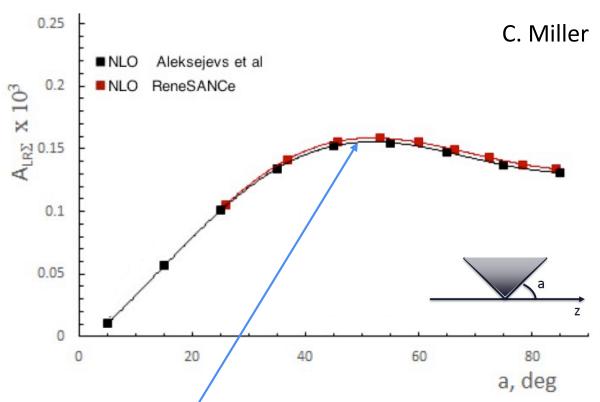
ReneSANCe cf Aleksejevs et al



A_{LR} as a function of acceptance angle where z is e- direction in centre-of-mass

Using M_{W} variations with ReneSANCe, can find $\delta \text{sin}^2~\theta_{\text{W}}~/~\delta A_{\text{LR}}$

ReneSANCe cf Aleksejevs et al



A_{LR} as a function of acceptance angle where z is e- direction in centre-of-mass

Using M_W variations with ReneSANCe, can find $\delta \sin^2 \theta_W / \delta A_{LR}$

Belle II has published a luminosity paper with Bhabha acceptance in the central part of the detector:

F. Abudinén et al, Belle II Collaboration, Chin.Phys.C 44 (2020) 2, 021001 Reports: Cross-section = 17.4nb, efficiency=36%

| Final State Fermion | SM A _{LR} (statistical error & sys from 0.5% P _e) For 40/ab | Relative Error |
|------------------------------------|---|-------------------|
| b-quark (selection eff.=0.3) | -0.0200 ±0.0001 | 0.5% |
| c-quark (eff. = 0.3) | +0.00546 ±0.00003 | 0.5% |
| tau (eff. = 0.25) | -0.00064 ±.000015 | 2.4% |
| muon (eff. = 0.5) | -0.00064 ±.000009 | 1.5% |
| Electron (barrel) (eff. = 0.36) | +0.00015 ±.000003 | 2.0% |

1 - Physics Report Vol 427, Nos 5-6 (2006), ALEPH, OPAL, L3, DELPHI, SLD $\sin^2\Theta_W$ - all LEP+SLD measurements combined WA = 0.23153 \pm 0.00016

| Final State Fermion | SM g _v ^f (M _z) | World Average ¹ g _v ^f | Chiral Belle | Chiral Belle σ 40 ab ⁻¹ | Chiral Belle ♂ sin ² ⊖ _W 40 ab ⁻¹ |
|------------------------------|--|--|-----------------------|--|--|
| b-quark (eff.=0.3) | -0.3437 ± .0001 | -0.3220 ±0.0077 (high by 2.8σ) | 0.002 Improve x4 | 0.002 | 0.003 |
| c-quark (eff. = 0.3) | +0.1920 ±.0002 | +0.1873 ± 0.0070 | 0.001 Improve x7 | 0.001 | 0.0008 |
| Tau (eff. = 0.25) | -0.0371 ±.0003 | -0.0366 ± 0.0010 | 0.001 (similar) | 0.0008 | 0.0004 |
| Muon (eff. = 0.5) | -0.0371 ±.0003 | -0.03667±0.0023 | 0.0007 Improve x 3 | 0.0005 Improve x 4 | 0.0003 |
| Electron (17nb, eff=0.36) | -0.0371 ±.0003 | -0.03816 ±0.00047 | 0.0009 | 0.0006 | 0.0003 |

1 - Physics Report Vol 427, Nos 5-6 (2006), ALEPH, OPAL, L3, DELPHI, SLD

 $\sin^2\Theta_W$ - all LEP+SLD measurements combined WA = 0.23153 ± 0.00016

 $\sin^2\Theta_{W}$ - Chiral Belle combined leptons with 40 ab⁻¹ have error ~current WA

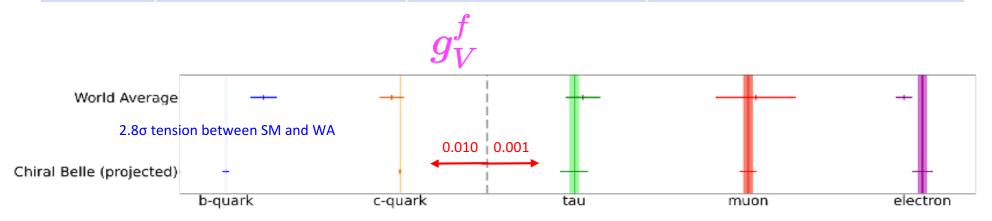
| b-quark (eff.=0.3) c-quark (eff. = 0. Cana) Tau (eff. = 0.25 Muc) Muon (eff. = 0.5) | SM g _v ^f (M _z) | World Average ¹ g _v ^f | Chiral Belle or 20 ab-1 Efficie | chiral Born | lies: le |
|---|--|--|------------------------------------|-----------------------|----------|
| b-quark (eff.=0.3) | -0.3437 ± .0001 | ributions t | aus (Cal | Sp M. | |
| c-quark (eff. = 0. $Cana$) | dian co | Hearty | רי ove x7 | 0.001 | 0.0008 |
| Tau (eff. = 0.25 MUC | ns to (Ale | Hearty), Keaubier X Beaubier -0.03667±0.0023 | 0.001 (similar) | 0.0008 | 0.0004 |
| Muon (eff. = 0.5) | ±.0003 | -0.03667±0.0023 | 0.0007 Improve x 3 | 0.0005 Improve x 4 | 0.0003 |
| Electron (17nb, eff=0.36) | -0.0371 ±.0003 | -0.03816 ±0.00047 | 0.0009 | 0.0006 | 0.0003 |

1 - Physics Report Vol 427, Nos 5-6 (2006), ALEPH, OPAL, L3, DELPHI, SLD

 $\sin^2\Theta_W$ - all LEP+SLD measurements combined WA = 0.23153 ± 0.00016

 $\sin^2\Theta_W$ - Chiral Belle combined leptons with 40 ab^{-1} have error ~current WA

| Fermion | $oxed{g_V^f}$ (Standard Model) | g_V^f (World Average) | $\sigma(g_V^f)$ (Chiral Belle 40ab-1) |
|----------|--------------------------------|-------------------------|---------------------------------------|
| b-quark | -0.3437 ± 0.0001 | -0.3220 ± 0.0077 | 0.0020 (4 x improvement) |
| c-quark | 0.1920 ± 0.0002 | 0.1873 ± 0.0070 | 0.0010 (7 x improvement) |
| Tau | -0.0371 ± 0.0003 | -0.0366 ± 0.0010 | 0.0008 |
| Muon | -0.0371 ± 0.0003 | -0.03667 ± 0.0023 | 0.0005 (4 x improvement) |
| Electron | -0.0371 ± 0.0003 | -0.03816 ± 0.00047 | 0.0006 |



Assuming lepton universality, the uncertainty on $\sin^2\theta^{\text{eff}}_{\text{W}}$ from the three Chiral Belle lepton measurements, including the common systematic uncertainty on the beam polarization measurement, is projected to be ±0.00018

c-quark:

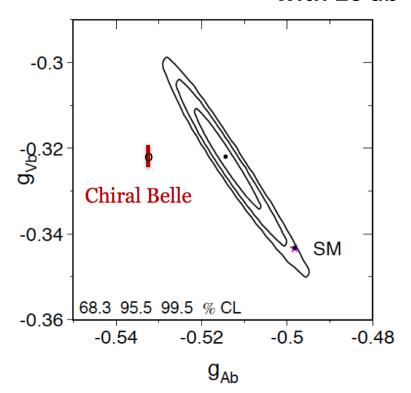
Chiral Belle ~7 times more precise

0.22 0.18 Chiral Belle 0.16 68.3 95.5 99.5 % CL 0.47 0.5 0.53

b-quark:

Chiral Belle ~4 times more precise

with 20 ab⁻¹



- Adapted from Fig. 7.4 of Precision electroweak measurements on the Z resonance, Phy.Rep.427 (5), 2006 (LEP/SLD).
- Red bars: expected ± 1 sigma uncertainty with 20 ab⁻¹ of data at Chiral Belle [at arbitrary positions].

Exploring New Physics in bottom-to-charm Neutral Current Vector Coupling Universality Ratio Statistics dominated measurements free of dominant systematic uncertainty (polarization)

| Final State | SM | World Average ¹ | Chiral Belle 20 ab ⁻¹ | Chiral Belle 50 ab ⁻¹ | Chiral Belle 250 ab ⁻¹ |
|-------------|--------------|-------------------------------|--|--|--|
| Fermion | $g_v^f(M_Z)$ | $g_{v}^{f}(M_{z})$ | σ (g_V^f) or σ (g_V^b/g_V^c) | σ (g_V^f) or σ (g_V^b/g_V^c) | σ (g_V^f) or σ (g_V^b/g_V^c) |
| b-quark | -0.3437 | -0.322 | ` ' | ` ' | ±0.00009(stat) ±0.0017(sys) |
| (eff.=0.3) | ± .00049 | ±0.0077 | ±0.0017(total) | ±0.0017(total) | ±0.0017(total) |
| | | 2.8 ₀ tension | Improves x 4 | Improves x 4 | Improves x 4 |
| c-quark | 0.192 | N 10/2 | ` ' | ±0.00035(stat) ±0.0009(sys) | ±0.00016(stat) ±0.0009(sys) |
| (eff.=0.3) | ± .0002 | ±0.0070 | ±0.0011(total) | ±0.0010(total) | ±0.0009(total) |
| | | | Improves x 7 | Improves x 7 | Improves x 8 |

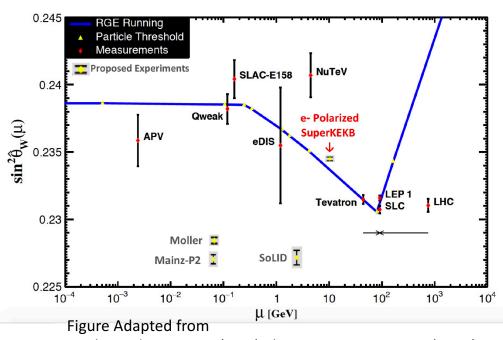
| gv ^b /gv ^c | -1.7901 | L1 719 | | ±0.0034 (stat ~ total) | ±0.00015 (stat ~ total) |
|----------------------------------|---------|--------|---------------|---------------------------|----------------------------|
| Ratio | ± .0005 | ± .082 | Improves x 14 | Improves x 24 | Improves x 50 |
| Relative error: | 0.18% | 4.8% | 0.32% | 0.19% | 0.09% |

b-c UNIVERSALITY 70% polarized e⁻ beam

1 - Physics Report Vol 427, Nos 5-6 (2006), ALEPH, OPAL, L3, DELPHI, SLD

 $\sin^2 \Theta_W$ - all LEP+SLD measurements combined WA = 0.23153 ± 0.00016

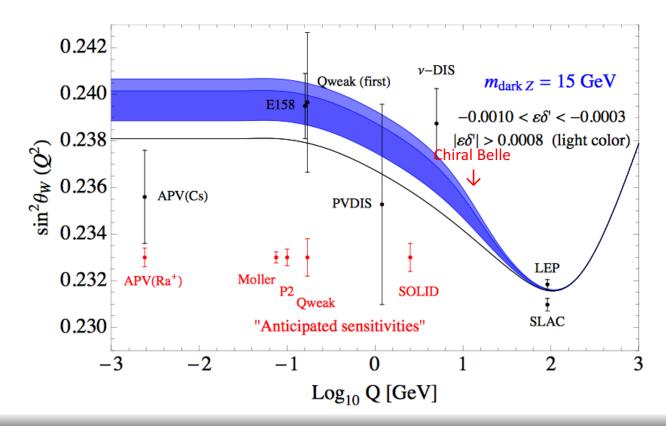
 $\sin^2\Theta_W$ - Chiral Belle combined leptons with 40 ab⁻¹ have error ~current WA



Chiral Belle: σ < 0.0002 with 40 ab⁻¹ Using only clean leptonic states

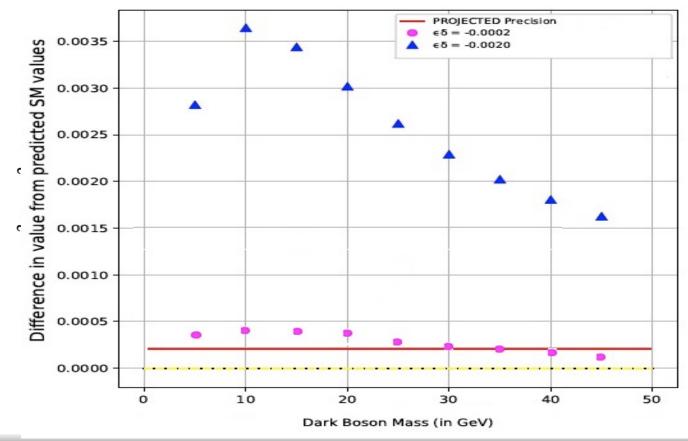
- Precision probe of running of the weak mixing angle
- Being away from Z-pole opens NP sensitivities not available at the pole
- J. Erler and A. Freitas, (PDG) Phys. Rev. D98, 030001 (2018)
- Measurements of $\sin^2\theta_{eff}^{lepton}$ of using lepton pairs of comparable precision to that obtained by LEP/SLD, except at 10.58GeV
 - sensitive to Z' > TeV scale; can probe purely Z' that only couple to leptons:
 complementary to direct Z' searches at LHC which couple to both quarks and leptons
- highest precision test neutral current vector coupling universality where beam polarization error cancels (< 0.3% with 20/ab, relative error for b-to-c, cf 4% now)
- Most precise measurements for charm and beauty
 - probes both heavy quark phenomenology and Up vs Down

- Unique sensitivity to Dark Sector parity violating light neutral gauge bosons especially when Z_{dark} is off-shell or couples more to 3^{rd} generation
 - Because couplings are small, this sector would have been hidden
 - See e.g. H. Davoudiasl, H. S. Lee and W. J. Marciano, Phys.Rev. D 92, no. 5, 055005 (2015)



- Unique sensitivity to Dark Sector parity violating light neutral gauge bosons especially when Z_{dark} is off-shell or couples more to 3^{rd} generation
 - Because couplings are small, this sector would have been hidden
 - See e.g. H. Davoudiasl, H. S. Lee and W. J. Marciano, Phys.Rev. D 92, no. 5, 055005 (2015)

Differences between SM and 2 benchmark scenarios of dark Z



Global interest in this EW physics:

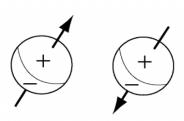
- LHC experiments -> HL-LHC
- APV measurements at lower energy scales
- Moller Experiment at Jefferson Lab which will measure $\sin^2\theta_{\rm eff}^{\rm electron}$ below 100MeV with similar precision (note: Moller is only sensitive to electron couplings.)
- EIC can measure $\text{sin}^2\theta_{\text{eff}}$ in similar kinematic region, but with less precision
- Next generation high energy e+e- colliders: ILC (where polarization is planned) & FCC-ee

Chiral Belle also provides

- Improved precision measurements of τ Michel Parameters, electric dipole moment (EDM) and information on Magnetic Form factor F_2
 - See J. Bernabéu, G. A. Gonzalez-Sprinberg, and J. Vidal, "CP violation and electric dipole moment at low energy tau production with polarized electrons", Nucl. Phys. B763:283–292, 2007, hep-ph/0610135.
 - J. Bernabéu, G. A. Gonzalez-Sprinberg, and J. Vidal *Nucl.Phys.B* 790 (2008) 160-174 "Tau anomalous magnetic moment form-factor at Super B/flavor factories"
 - Denis Epifanov talk at Tau 2021 the Russian Super Tau-Charm Factory (STCF) which will operate with e- polarized beams
- e⁻ beam polarization can be used to reduce backgrounds in $\tau \rightarrow \mu \gamma$ and $\tau \rightarrow e \gamma$ leading to improved sensitivities; also electron beam polarization and can be used to distinguish Left and Right handed New Physics currents.
 - See: arXiv:1008.1541v1 [hep-ex]
- Polarized e+e- annihilation into a polarized Λ or a hadron pair experimentally probes dynamical mass generation in QCD

Electric and magnetic moments of τ lepton

Charge asymmetry along spin direction: EDM $\neq 0 \Rightarrow$ CP violation SM expectation $\mathcal{O}(10^{-37})$ e.cm far below experimental sensitivity New physics in loops can enhance EDM of τ lepton $\sim \mathcal{O}(10^{-19})$ e.cm



W. Bernreuther et. al. Phys. Lett. B 391, 413 (1997); T. Huang et. al. Phys. Rev. D 55, 1643 (1997).

$$a_{\ell} = (g_{\ell} - 2)/2$$

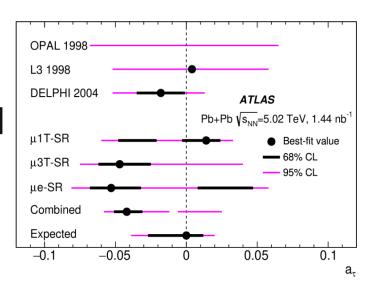
Large deviation in anomalous magnetic moment of muon:

$$a_{\mu}^{\text{exp}} - a_{\mu}^{\text{SM}} = (251 \pm 59) \times 10^{-11} [4.2\sigma]$$

Expectation from Minimal flavor violation:

$$a_{\tau}^{\text{BSM}} \sim a_{\mu}^{\text{BSM}} \left(\frac{m_{\tau}}{m_{\mu}}\right)^2 \sim 10^{-6}$$

Current bound in tau $\sim \mathcal{O}(10^{-2})$ Chiral Belle reach $\sim \mathcal{O}(10^{-5})$ with 50ab⁻¹



e-Print: 2204.13478 [hep-ex]
ATLAS Collaboration

From J. Bernabéu et al, Nucl. Phys. B 790 (2008) 160-174

Tau anomalous magnetic moment form-factor at Super B/flavor factories

In EFT interactions between τ and photon

$$\Gamma^{\mu}(q^2) \ = \ F_1(q^2) \gamma^{\mu} + F_2(q^2) \frac{i \sigma^{\mu\nu} q_{\nu}}{2 m_{\tau}} + F_3(q^2) \frac{\sigma^{\mu\nu} q_{\nu} \gamma_5}{2 m_{\tau}}$$

 $F_1(q^2)$: Dirac form factor $F_1(0) = 1$

 $F_2(q^2)$: Pauli form factor $F_2(0) = a_\tau$

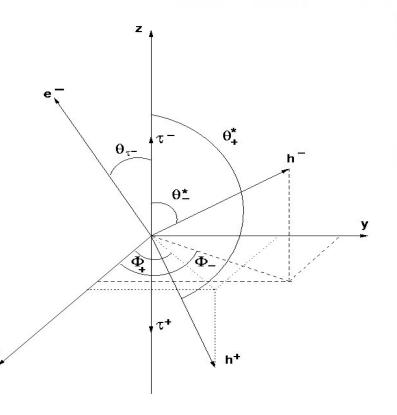
 $F_3(q^2)$: $F_3(0) = d_\tau \cdot 2m_\tau / eQ_\tau$

From J. Bernabéu et al, Nucl. Phys. B763:283-292, 2007

CP violation and electric dipole moment at low energy tau production with polarized electrons

 P_N^{τ} :polarization of one of the τ 's normal to the scattering plane. With beam polarization λ :

$$P_N^{\tau} \propto \lambda \gamma \beta^2 \cos \theta_{\tau} \sin \theta_{\tau} \frac{m_{\tau}}{m_{\tau}} \operatorname{Re}(d_{\tau}^{\gamma})$$



Now, to be sensitive only to the EDM we can define the azimuthal asymmetry as:

$$A_N^{\mp} = \frac{\sigma_L^{\mp} - \sigma_R^{\mp}}{\sigma} = \alpha_{\mp} \frac{3\pi\gamma\beta}{8(3-\beta^2)} \frac{2m_{\tau}}{e} d_{\tau}^{\gamma}$$

$$\tag{14}$$

where

$$\sigma_L^{\mp} = \int_0^{2\pi} d\phi_{\pm} \left[\int_0^{\pi} d\phi_{\mp} \frac{d^2\sigma^S}{d\phi_{-}d\phi_{+}} \Big|_{Pol(e^{-})} \right] =$$

$$Br(\tau^{+} \rightarrow h^{+}\bar{\nu}_{\tau})Br(\tau^{-} \rightarrow h^{-}\nu_{\tau}) \alpha_{\mp} \frac{(\pi\alpha\beta)^2\gamma}{8s} \frac{2m_{\tau}}{e} d_{\tau}^{\gamma} \qquad (15)$$

$$\sigma_R^{\mp} = \int_0^{2\pi} d\phi_{\pm} \left[\int_{\pi}^{2\pi} d\phi_{\mp} \frac{d^2\sigma^S}{d\phi_{-}d\phi_{+}} \Big|_{Pol(e^{-})} \right] =$$

$$-Br(\tau^{+} \rightarrow h^{+}\bar{\nu}_{\tau})Br(\tau^{-} \rightarrow h^{-}\nu_{\tau}) \alpha_{\mp} \frac{(\pi\alpha\beta)^2\gamma}{8s} \frac{2m_{\tau}}{e} d_{\tau}^{\gamma} \qquad (16)$$

From J. Bernabéu *et al*, Nucl. Phys. B763:283–292, 2007

CP violation and electric dipole moment at low energy tau production with polarized electrons

For polarized beams
$$P_N^{\tau} \propto \lambda \gamma \beta^2 \cos \theta_{\tau} \sin \theta_{\tau} \frac{m_{\tau}}{e} \text{Re}(d_{\tau}^{\gamma})$$

Angular asymmetries (P_{N}^{τ}) are proportional to EDM

$$A_{N}^{m} = \frac{\sigma_{L}^{m} - \sigma_{R}^{m}}{\sigma_{L}^{m} + \sigma_{R}^{m}} = \alpha_{m} \frac{3\pi\gamma\beta}{8(3-\beta^{2})} \frac{2m_{\tau}}{e} \text{Re}(d_{\tau}^{\gamma})$$

One can also measure A for τ^+ and/or τ^-

$$A_{N}^{CP} \equiv \frac{1}{2} (A_{N}^{+} + A_{N}^{-})$$

From J. Bernabéu et al, Nucl. Phys. B763:283-292, 2007

CP violation and electric dipole moment at low energy tau production with polarized electrons

Using Bernabéu *et al* from this study one can calculate for 40ab⁻¹ Chiral Belle data with 70% polarization:

 $|d_{\tau}^{\gamma}| < O(10^{-20})$ (Statistical error only)

World best measurement from Belle
$$-arXiv:2108.11543$$
 - $-1.85 \times 10^{-17} < \Re(\widetilde{d}_{\tau}) < 0.61 \times 10^{-17}ecm (95 \% CL)$ - $1.03 \times 10^{-17} < \Im(\widetilde{d}_{\tau}) < 0.23 \times 10^{-17}ecm (95 \% CL)$

Note: extrapolating statistical error from recent Belle results would give a limit of ~5x10⁻¹⁹ for unpolarized Belle II data with 50ab⁻¹

From J. Bernabéu *et al*, *Nucl.Phys.B* 790 (2008) 160-174 Tau anomalous magnetic moment form-factor at SuperB/flavor factories

To get an observable sensitive to the relevant signal define the azimuthal transverse asymmetry as

$$A_T^{\pm} = \frac{\sigma_R^{\pm}|\mathbf{p}_{\rm ol} - \sigma_L^{\pm}|\mathbf{p}_{\rm ol}}{\sigma} \\ = \mp \,\alpha_{\pm} \, \frac{3\pi}{8(3-\beta^2)\gamma} \left[|F_1|^2 + (2-\beta^2)\gamma^2 {\rm Re} \, \{F_2\} \right] \, ,$$

Then, we define the longitudinal asymmetry as

$$\begin{split} A_L^{\pm} &= \frac{\sigma_{FB}^{\pm}(+)|\mathbf{p}_{\text{ol}} - \sigma_{FB}^{\pm}(-)|\mathbf{p}_{\text{ol}}}{\sigma} \\ &= \mp \, \alpha_{\pm} \, \frac{3}{4(3-\beta^2)} \left[|F_1|^2 + 2 \, \operatorname{Re} \left\{ F_2 \right\} \right] \,, \end{split}$$

$$\operatorname{Re} \{F_2(s)\} = \mp \frac{8(3-\beta^2)}{3\pi\gamma\beta^2} \frac{1}{\alpha_{\pm}} \left(A_T^{\pm} - \frac{\pi}{2\gamma} A_L^{\pm} \right).$$

Magnetic dipole moments of τ lepton

Andreas Crivellin, Martin Hoferichter, J. Michael Roney arXiv:2111.10378 [hep-ph]

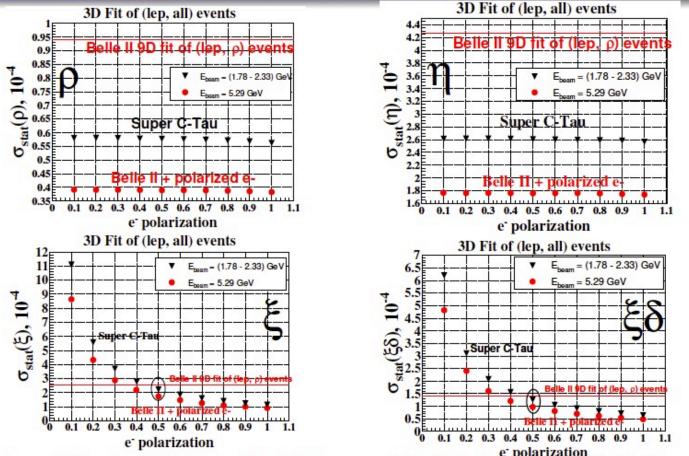
Contributions to $F_2(s)$ in units of 10^{-6} .

| | s = 0 | $s = (10 \text{GeV})^2$ |
|-------------------------------|---------|--------------------------|
| 1-loop QED | 1161.41 | -265.90 |
| e loop | 10.92 | -2.43 |
| μ loop | 1.95 | -0.34 |
| 2-loop QED (mass independent) | -0.42 | -0.24 |
| HVP | 3.33 | -0.33 |
| EW | 0.47 | 0.47 |
| total | 1177.66 | -268.77 |

- Detector level systematics cancels in asymmetries between left (right) beams.
- Precision $\simeq \mathcal{O}(10^{-5})$ or better expected with 50 ab⁻¹ of data with polarized beam.

From Denis Epifanov's talk at Tau2021 on Super Tau Charm Factory: τ Michel Parameter with polarized e- beam





It would be very exciting to have both projects probing tau sector with polarized e- beams

The sensitivities to all Michel par. at the SCTF become slightly better than those at Belle II (with unpolarized e^- beam) for $\mathcal{P}_e > 0.5$.

Expected MP stat. uncertainties are $\sim 10^{-4}$, to reach the same level systematic uncertainty, the NNLO corrections ($\mathcal{O}(\alpha^4)$) to the differential $e^+e^- \to \tau^+\tau^-$ cross section are mandatory.

TAU2021 1 October 2021

Super Charm-Tau factory in Russia

Denis Epifanov (BINP)

13/33

50ab⁻¹ of polarized Belle II data assumed in these studies

Polarization in SuperKEKB

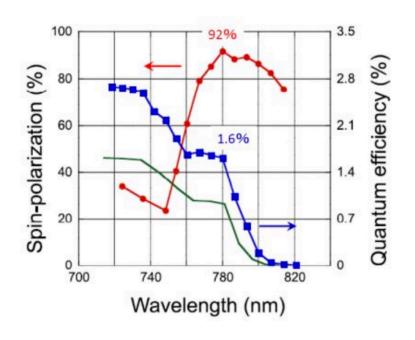
- Goal is ~70% polarization with 80% polarized source (SLC had 75% polarization at the experiment)
- Electron helicity would be chosen randomly pulse-to-pulse by controlling the circular polarization of the source laser illuminating a GaAs photocathode (similar to SLC source)
- Inject vertically polarized electrons into the High Energy Ring (HER) needs low enough emittance source to be able to inject.
- Rotate spin to longitudinal before IP, and then back to vertical after IP using solenoidal and dipole fields
- Use Compton polarimeter to monitor longitudinal polarization with <1% absolute precision, higher for relative measurements (arXiv:1009.6178) - needed for real time polarimetry
- Use tau decays to get absolute average polarization at IP.
 - See Caleb Miller's Talk for details on sensitivity studies achieving precision goal!

Polarization in SuperKEKB

Hardware needs

- 1. Low emittance polarized Source
- 2. Spin rotators
- 3. Compton polarimeter

Design source photo-cathode
With 4 nC/bunch
20 mm-mrad vertical emittance
50 mm-mrad horizontal emittance
Current focus is on GaAs cathode with a thin Negative Electron Affinity (NEA) surface.



Z. Liptak and M. Kuriki (Hiroshima)

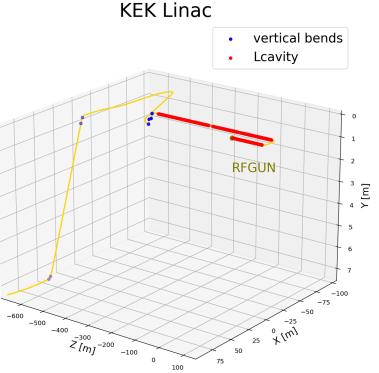
KEK and Hiroshima Groups - work on ILC sources leveraged

Polarization in SuperKEKB

Hardware needs

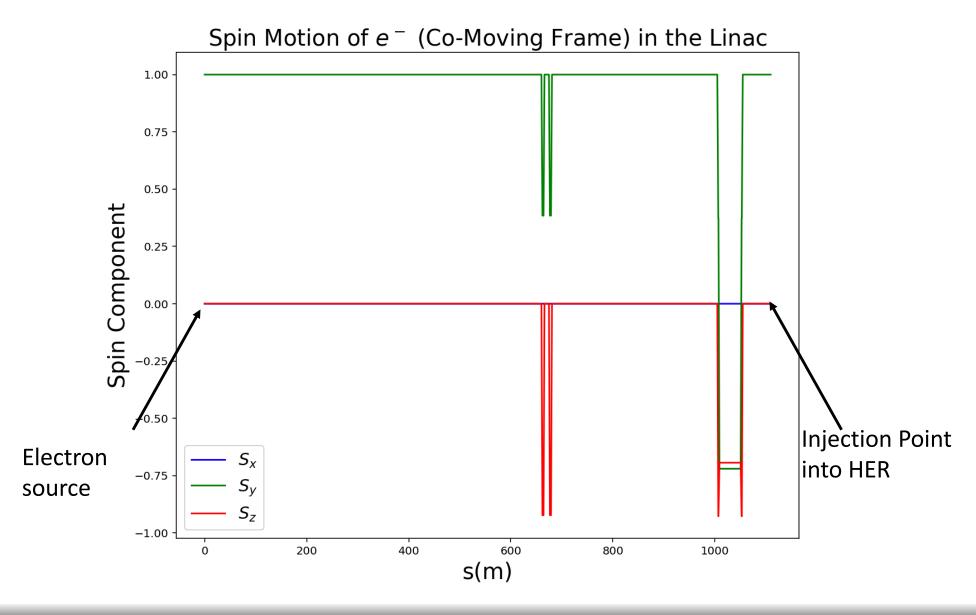
- 1. Low emittance polarized Source
- 2. Spin rotators
- 3. Compton polarimeter

Design source photo-cathode
With 4 nC/bunch
20 mm-mrad vertical emittance
50 mm-mrad horizontal emittance
Current focus is on GaAs cathode with a thin Negative Electron Affinity (NEA) surface.



Y. Peng (UVic)

KEK and Hiroshima Groups - work on ILC sources leveraged



Hardware needs

- 1. Low emittance Source
- 2. Spin rotators
- 3. Compton polarimeter

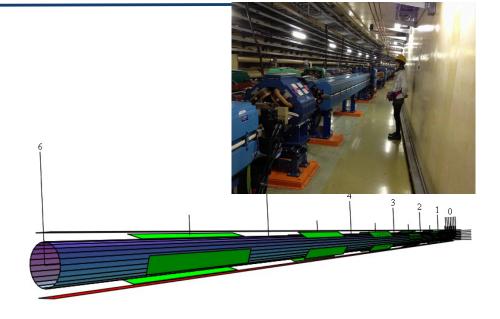
Use of solenoids and dipoles, plus the quadrupoles (needed for decoupling) on either side of interaction point

BINP, ANL, BNL, TRIUMF-Victoria Groups



Hardware needs

- 1. Low emittance Source
- 2. Spin rotators
- 3. Compton polarimeter



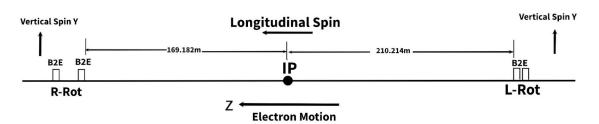
In preliminary studies, one concept (U. Wienands, ANL) is to use overlapping field magnets which would replace existing bending magnets either side of interaction point

BINP, ANL, BNL, TRIUMF-Victoria Groups

Preliminary studies – ANL, TRIUMF, Victoria

Overlapping Field Solenoid-Dipole-Quadrupole Spin Rotator - Uli Wienands, ANL

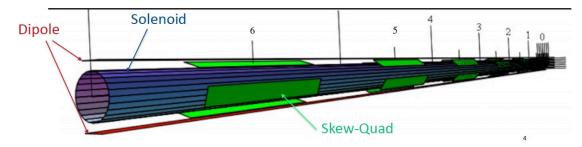
Spin Rotator Yuhao Peng, Victoria



Left rotator(L-Rot) is to rotate the vertical spin to the longitudinal direction

Right rotator(R-Rot) is to rotate the longitudinal back to vertical

- replace some existing ring dipoles(send) near the IP with the solenoiddipole combined function magnets and maintain the original dipole strength to keep the geometry
- Install 6 skew-quadruple on top of each rotator section to compensate for the x-y plane coupling caused by solenoids



U. Wienands, ANL

(BNL expertise in construction of direct wind magnets suitable for these magnets)

Preliminary studies – ANL, TRIUMF, Victoria

Simulation Tool

- Bmad is an open-source software library (aka toolkit)created/maintained by David Sagan at Cornell University for simulating charged particles and X-rays. Étienne Forest's "Polymorphic Tracking Code" (PTC) is incorporated into it.
- Tao is a user-friendly interface to Bmad which gives general purpose simulation, based upon Bmad.
- Bmad via the Tao interface is a powerful and user-friendly tool used for viewing lattices, doing Twiss and orbit calculations, and performing nonlinear optimization on lattices

Using SuperKEKB High Energy Ring lattice (Demin Zhou, KEK)

Yuhao Peng (Victoria)

Original Lattice

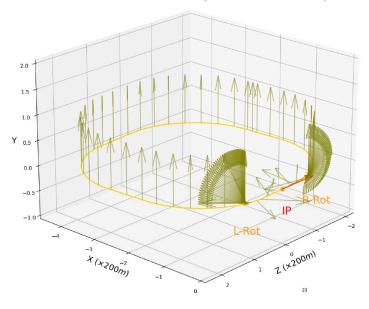
Lattice with Rotators after re-matching chromaticity and tunes

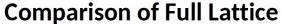
| | | X | 1 | T | | | | | 2 | | |
|-----------|-------------|-------------|-------------|-------------|---------------------|-----------|-------------|-------------|-------------|-------------|-----------------------|
| | Model | Design | Model | Design | | | 100 101 12 | Χ . | | Υ . | |
| 0 | 45.530994 | 45.530994 | 43.580709 | 43.580709 | ! Tune | | Model | Design | Model | Design | |
| 4 | | | | | | Q | 45.530994 | 45.530994 | 43.580709 | 43.580709 | ! Tune |
| Chrom | 1.593508 | 1.591895 | 1.622865 | 1.621568 | ! dQ/(dE/E) | Chrom | 1.593508 | 1.255194 | 1.622865 | 1.622979 | ! dQ/(dE/E) |
| J_damp | 1.000064 | 0.999662 | 1.000002 | 1.000002 | ! Damping Partition | J_damp | 0.984216 | 0.983532 | 1.005266 | 1.005262 | ! Damping Partition # |
| Emittance | 4.44061E-09 | 4.44277E-09 | 5.65367E-13 | 5.65331E-13 | ! Meters | Emittance | 4.88967E-09 | 4.89624E-09 | 3.96631E-12 | 3.96983E-12 | ! Meters |

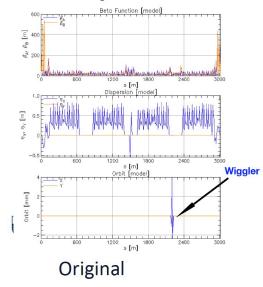
Next steps: now conducting long term tracking studies -> very promising

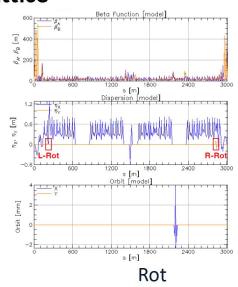
Preliminary studies – ANL, TRIUMF, ANL

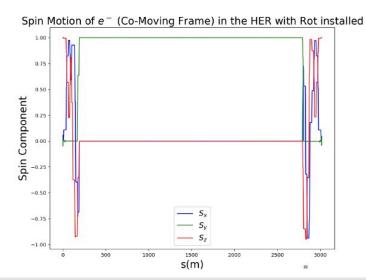
Spin Motion of e^- (Lab Frame) in the SuperKEKB HER with Spin Rotator Installed









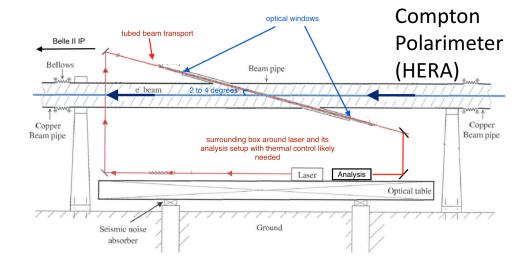


| Spin Component | Entrance of Rot | IP | Exit | | |
|----------------|---------------------|---------------------|---------------------|--|--|
| X | -0.0000032792024300 | -0.0000044677361868 | -0.0000063748934711 | | |
| Y | 0.999999999802550 | 0.0000026796195603 | 0.999999999793680 | | |
| Z | -0.0000053600276775 | 0.999999999864290 | 0.0000007825194459 | | |

Yuhao Peng, Victoria

Hardware needs

- 1. Low emittance Source
- 2. Spin rotators
- 3. Compton polarimeter



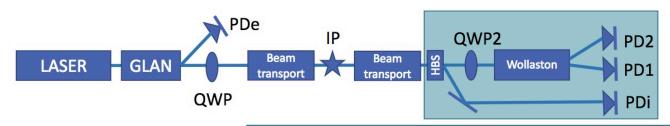
Space is available for laser interaction region and scattered electron detector

LAL Orsay and U. Manitoba groups

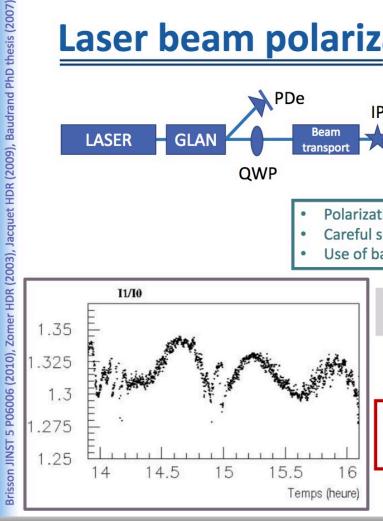


LAL Orsay team (A. Martens, Y. Peinaud, F. Zomer, P. Bambade, F. Le Diberder, K. Trabselsi) HERA Compton Polarimeter experience

Laser beam polarization control



- Polarization independent Holographic Beam Sampler
- Careful suppression of laser intensity fluctuations
- Use of balanced photodiodes and differential electronics



Example of time dependent measurement at HERA

- Remaining 0.3% fluctuations
- More frequent measurements?
- Modulation of circular polarization to avoid DC fluctuations?

U. Manitoba team (J. Mammei, M. Gericke, W. Deconinck)
work on Compton polarimeter at JLab - QWeak and MOLLER –
Using HPVMAPs as Compton e- Detector at MOLLER
HVMAPS Beam Test, Fall 2019, DESY

We recently had a beam test of the 8th (2x1 cm²) and 9th generation chip at DESY.

Version 10 will be submitted for production by the end of this year (full 2x2 cm²).

If it performs well, version 11 (2020 submission) will be the production chip we use for MOLLER.



Version 8 at UofM

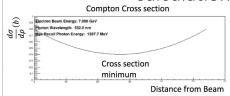
The chip is primarily developed by groups at the U. of Heidelberg and the Karlsruhe Institute of Technology, and intended for various experiments:

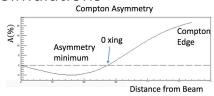
- ATLAS
- Mu3e
- PANDA
- P2
- MOLLER



The implementation as a Compton detector is done by the Manitoba group.

Calculations/Simulations



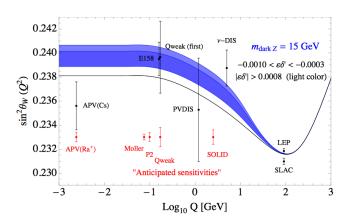


Summary

- e⁻ polarization upgrade at SuperKEKB would open a unique discovery window with precision electroweak physics
 - Measure the b, charm, tau, muon vector couplings with the highest precision and competitive electron coupling measurement
 - Unique probe of universality at unprecedented precision
- Also get significant improvements to tau LFV, Michel parameters, LFV, EDM, and F₂(10GeV)

Summary

- competitive with measurements at Z-pole (until FCC) but at 10.58 GeV and complementary to Moller and low energy PV
 - test running of couplings
 - probe new physics at TeV scale complementary to LHC
 - probe 'Dark Sector'



 Build on international partnerships with KEK to create a unique discovery machine

Summary

By opening this *unique* window on New Physics we could find something REALLY exciting



Thankyou for your attention...

...and consider taking the plunge and join the SuperKEKB electron beam polarization project!

Many areas where new people can have an impact! Additional accelerator physicists, experimentalist and theorists very welcome

- Beam dynamics and spin tracking
- Spin rotator design
- Compton polarimetry detector expertise
- Polarized low emittance source
- Tau decay polarimetry use as many decay channels as possible
- Tau Michel parameter, EDM and F₂ studies
- Detailed physics MC studies with final-state fermion selection optimizing signal to background: b, c, tau, mu and e, as well as light quarks
- Precision EW theoretical calculations
- Bhabha MC generator with polarized beams -> now have ReneSANCe

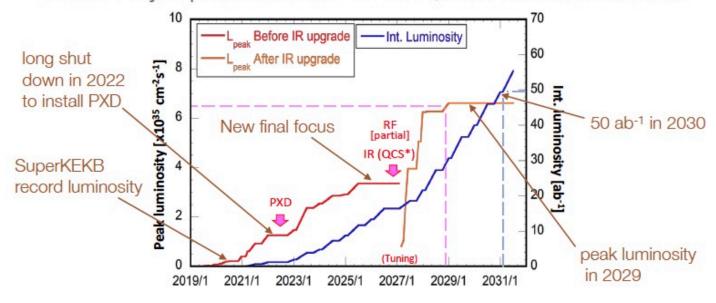
Additional Information

SuperKEKB polarization upgrade

 Would aim to install polarization in shutdown for new final focus ~2027 – Pol. R&D in MEXT KEK Roadmap 2021-26

Longer term Belle II run plan

- Run through 2030 to get full data set.
- New 2-layer pixel detector in 2022; new final focus 2026.

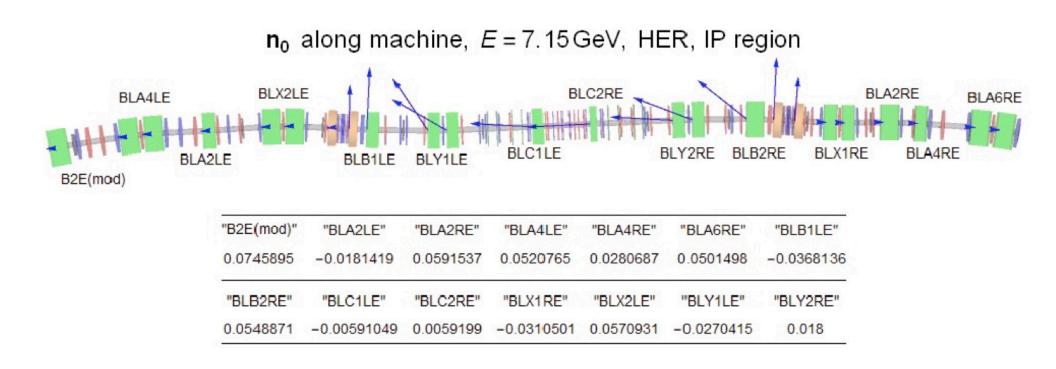


Masanori Satoh, KEK (June 2020)

Linac Beam Parameters for KEKB/SuperKEKB

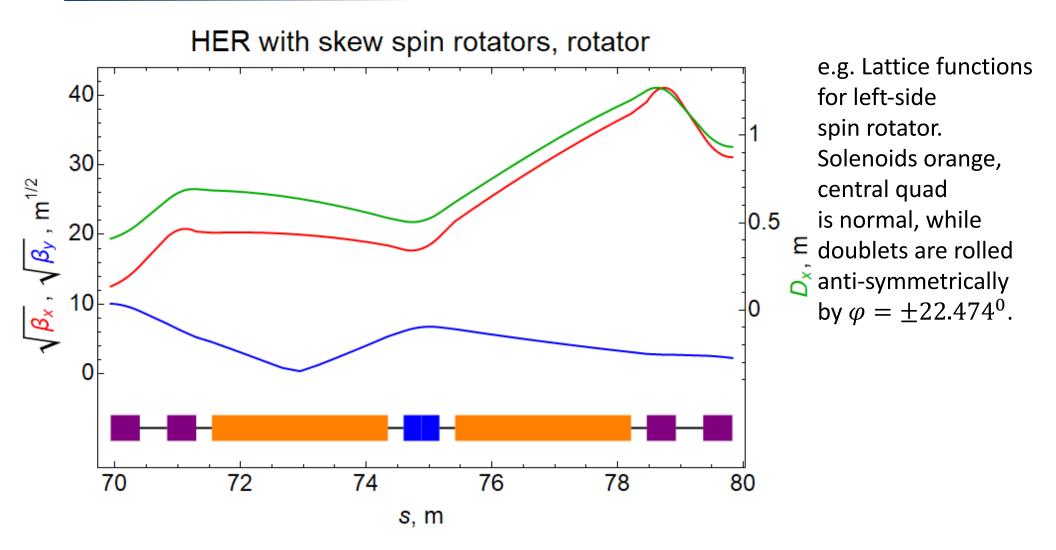
| Stage | KEKB (final) | | Phase-I | | Phase-II | | Phase-III (interim) | | Phase-III (final) | |
|--|---------------------------|---------------|---------------|---------------|---------------|---------------|---------------------------------------|---------------|--|---------------|
| Beam Energy | e+ 3.5 GeV | e- 8.0 GeV | e+ 4.0 GeV | e- 7.0 GeV | e+ 4.0 GeV | e- 7.0 GeV | e+ 4.0 GeV | e- 7.0 GeV | e+ 4.0 GeV | e- 7.0 GeV |
| Stored current | 1.6 A | 1.1 A | 1.0 A | 1.0 A | - | - | 1.8 A | 1.3 A | 3.6 A | 2.6 A |
| Life time (min.) | 150 | 200 | 100 | 100 | _ | | 1 4 | | 6 | 6 |
| | primary e- 10 | | primary e- 8 | 1 | 0.5 | 1 | 2 | 2 | primary e- 10 | 4 |
| Bunch charge (nC) | →1 | 1 | → 0.4 | | | | | | -4 | |
| Norm. Emittance | 1400 | 310 | 1000 | 130 | 200/40 | 150 | 150/30 | 100/40 | 100/15 | 40/20 |
| (γβε) (μmrad) | | | | | (Hor./Ver.) | 220 | (Hor./Ver.) | (Hor./Ver.) | (Hor./Ver.) | (Hor./Ver.) |
| Energy spread | 0.13% | 0.13% | 0.50% | 0.50% | 0.16% | 0.10% | 0.16% | 0.10% | 0.16% | 0.07% |
| Bunch / Pulse | 2 | 2 | 2 | 2 | 2 | 2 | 2 | 2 | 2 | 2 |
| Repetition rate | 50 Hz | | 25 Hz | | 25 Hz | | 50 Hz | | 50 Hz | |
| Simultaneous top-up injection (PPM) | 3 rings (LER, HER, PF) | | No top-up | | Partially | | 4+1 rings (LER, HER, DR, PI PF-AR) | | 4+1 rings (LER, HER, DR, PF, PF-AR) | |

- These electroweak measurements require highest luminosity possible
- Polarized source not expected to reduce luminosity
- Spin rotators might affect luminosity if not carefully designed to minimize couplings between vertical and horizontal planes
 - Higher order and chromatic effects have to be considered in the design to ensure luminosity is not degraded



In arcs spin is directed purely vertically, while at IP longitudinally.

From I. Koop, A.Otboev and Yu.Shatunov, BINP, Novosibirsk preliminary considerations on the longitudinal polarization at SuperKEKB



From I. Koop, A.Otboev and Yu.Shatunov, BINP, Novosibirsk preliminary considerations on the longitudinal polarization at SuperKEKB

Growing international collaboration of Accelerator and Particle Physicists ~ half from outside Belle II

Canada: TRIUMF, UVic, Manitoba, UBC/IPP

• France: LAL/Orsay

KEK & Hiroshima Univ. + Oide-san (CERN)

Russia: BINP

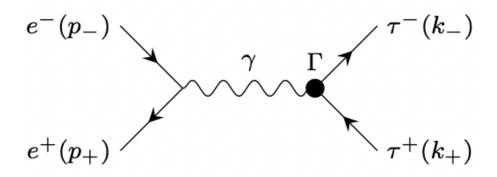
USA: ANL, BLN, Louisville, Duke

Theorists in Canada, Italy, Russia & U.S. published recently on physics enabled by this project

Preparing Snowmass White Paper, followed by NOI, CDR & TDR, then construction.

Additional Attraction: Opportunity not just for physics, but serves as real-world project to develop technologies for learning and training for future e+e- polarization projects

Effective field theory approach to τ-pair production



$$\Gamma^{\mu} = \underbrace{F_1\left(q^2\right)\gamma^{\mu}}_{\mbox{radiative corrections}} + \underbrace{F_2\left(q^2\right)\frac{1}{2m_{\tau}}}_{\mbox{MDM}} \mathbf{i}\sigma^{\mu\nu}q_{\nu} + \underbrace{F_3\left(q^2\right)\frac{1}{2m_{\tau}}}_{\mbox{EDM}} \sigma^{\mu\nu}q_{\nu}\gamma_5$$

- $ightharpoonup F_1\left(q^2
 ight)$, $F_2\left(q^2
 ight)$ are called the Dirac and Pauli; $F_1(0)=1;$ $F_2(0)=a_{ au}$ Leading
- $g = 2 \cdot [F_1(0) + F_2(0)] = 2 + 2F_2(0) \qquad d_{\tau}^{\gamma} = \frac{e}{2m_{\tau}} \cdot F_3(0)$

$$F_2(0) = a_{ au}$$
 Leading $\operatorname{\mathsf{term}}_{pprox 0.001\ 161\ 4}$

Electric dipole moments of τ lepton

CP violation and electric-dipole-moment at low energy au production with polarized electrons

J. Bernabeu G.A. Gonzalez-Sprinberg J. Vidal

Nucl.Phys.B763:283-292,2007, hepph/0610135

 P_{N}^{τ} :polarization of one of the τ 's normal to the scattering plane.

With beam polarization λ :

$$P_N^{\tau} \propto \lambda \gamma \beta^2 \cos \theta_{\tau} \sin \theta_{\tau} \frac{m_{\tau}}{e} \mathrm{Re}(d_{\tau}^{\gamma})$$
Angular asymmetries (P_N^{τ}) are proportional to EDM

$$A_{N}^{\mp} = \frac{\sigma_{L}^{\mp} - \sigma_{R}^{\mp}}{\sigma_{L}^{\mp} + \sigma_{R}^{\mp}} = \alpha_{\mp} \frac{3\pi\gamma\beta}{8(3-\beta^{2})} \frac{2m_{\tau}}{e} Re(d_{\tau}^{\gamma})$$

One can also measure A for τ^+ and/or τ^-

$$\mathcal{CP} : A_{N}^{CP} \equiv \frac{1}{2} (A_{N}^{+} + A_{N}^{-})$$

Magnetic dipole moments of τ lepton

Tau anomalous magnetic moment form factor at super B/flavor factories

J. Bernabéu ^{a,b}, G.A. González-Sprinberg ^c, J. Papavassiliou ^{a,b}, J. Vidal ^{a,b,*}

Nucl.Phys.B790:160-174,2008

4.1. Transverse asymmetry

To get an observable sensitive to the relevant signal define the azimuthal transverse asymmetry as

$$A_T^{\pm} = \frac{\sigma_R^{\pm}|_{\text{Pol}} - \sigma_L^{\pm}|_{\text{Pol}}}{\sigma} = \mp \alpha_{\pm} \frac{3\pi}{8(3 - \beta^2)\gamma} [|F_1|^2 + (2 - \beta^2)\gamma^2 \text{Re}\{F_2\}], \tag{29}$$

where

$$\sigma_L^{\pm}|_{\text{Pol}} \equiv \int_{\pi/2}^{3\pi/2} d\phi_{\pm} \left[\frac{d\sigma^S}{d\phi_{\pm}} \Big|_{\text{Pol}(e^-)} \right]$$

$$= \pm \text{Br}(\tau^+ \to h^+ \bar{\nu}_{\tau}) \text{Br}(\tau^- \to h^- \nu_{\tau})$$

$$\times \alpha_{\pm} \frac{(\pi\alpha)^2 \beta}{8s} \frac{1}{\gamma} \left[|F_1|^2 + (2 - \beta^2) \gamma^2 \text{Re} \left\{ F_2 \right\} \right], \tag{30}$$

$$\sigma_R^{\pm}\big|_{\text{Pol}} \equiv \int_{-\pi/2}^{\pi/2} d\phi_{\pm} \left[\frac{d\sigma^S}{d\phi_{\pm}} \Big|_{\text{Pol}(e^-)} \right] = -\sigma_L^{\pm}\big|_{\text{Pol}}. \tag{31}$$

4.2. Longitudinal asymmetry

Then, we define the longitudinal asymmetry as

$$A_L^{\pm} = \frac{\sigma_{FB}^{\pm}(+)|_{Pol} - \sigma_{FB}^{\pm}(-)|_{Pol}}{\sigma} = \mp \alpha_{\pm} \frac{3}{4(3 - \beta^2)} [|F_1|^2 + 2\operatorname{Re}\{F_2\}], \tag{34}$$

where

$$\sigma_{\mathrm{FB}}^{\pm}(+)\big|_{\mathrm{Pol}} \equiv \int_{0}^{1} d\left(\cos\theta_{\pm}^{*}\right) \frac{d\sigma_{\mathrm{FB}}^{S}}{d(\cos\theta_{\pm}^{*})}\bigg|_{\mathrm{Pol}(e^{-})}$$

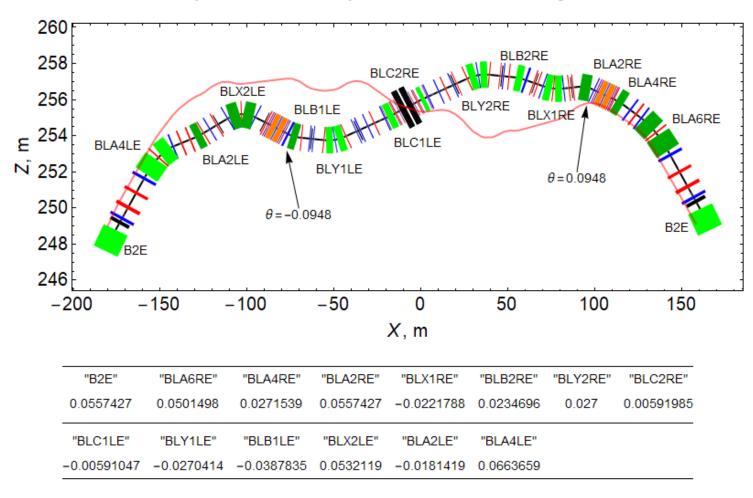
$$= \mp\alpha_{\pm} \operatorname{Br}\left(\tau^{+} \to h^{+}\bar{\nu}_{\tau}\right) \operatorname{Br}\left(\tau^{-} \to h^{-}\nu_{\tau}\right) \frac{\pi\alpha^{2}}{4\pi} \beta \left[|F_{1}|^{2} + 2\operatorname{Re}\{F_{2}\}\right], \tag{35}$$

$$\sigma_{\rm FB}^{\pm}(-)\big|_{\rm Pol} \equiv \int_{-1}^{0} d\big(\cos\theta_{\pm}^{*}\big) \frac{d\sigma_{\rm FB}^{S}}{d(\cos\theta_{\pm}^{*})} \Big|_{\rm Pol(e^{-})} = -\sigma_{\rm FB}^{\pm}(+)\big|_{\rm Pol}.$$
 (36)

Combining Eq. (29) and Eq. (34) one can determine the real part of $F_2(s)$.

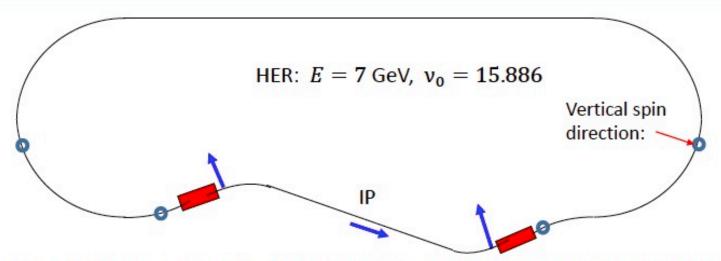
$$\operatorname{Re}\left\{F_{2}(s)\right\} = \mp \frac{8(3-\beta^{2})}{3\pi\gamma\beta^{2}} \frac{1}{\alpha_{\pm}} \left(A_{T}^{\pm} - \frac{\pi}{2\gamma}A_{L}^{\pm}\right).$$

Another Concept: install spin-rotator magnets in drift regions

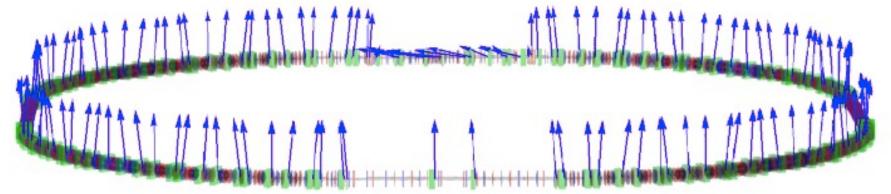


From I. Koop, A.Otboev and Yu.Shatunov, BINP, Novosibirsk preliminary considerations on the longitudinal polarization at SuperKEKB

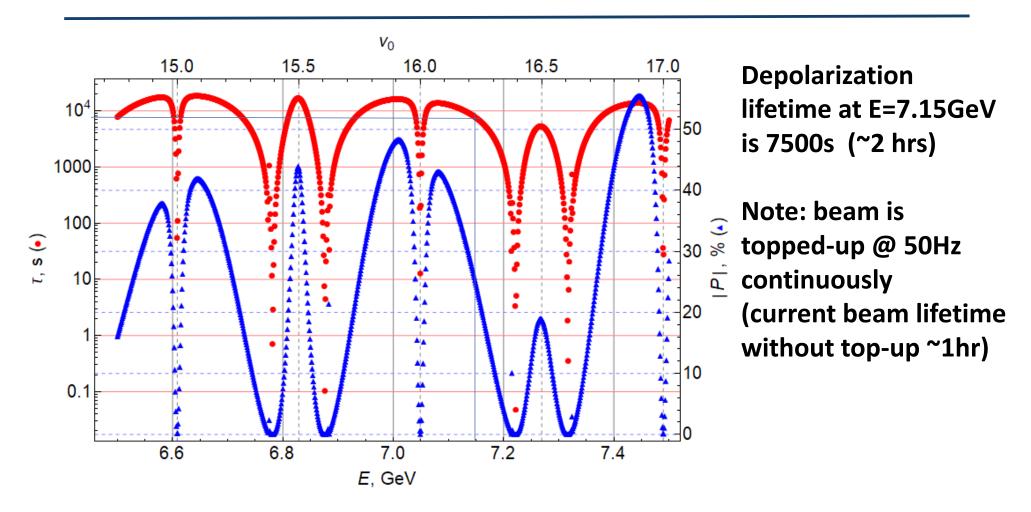
A scheme with restoration of the vertical spin direction in main arcs



Spin direction is vertical in the main part of HER. Then it is rotated to the horizontal plane by the set of two solenoids, which are comprising the 90° spin rotator.



From I. Koop, A.Otboev and Yu.Shatunov, BINP, Novosibirsk preliminary considerations on the longitudinal polarization at SuperKEKB



From I. Koop, A.Otboev and Yu.Shatunov, BINP, Novosibirsk preliminary considerations on the longitudinal polarization at SuperKEKB

Version 3 of the FF region geometry: Right half from IP



Koop, Long. Pol.

Tau Polarization as Beam Polarimeter

$$P_{z'}^{(\tau-)}(\theta, P_e) = -\frac{8G_F s}{4\sqrt{2}\pi\alpha} \text{Re} \left\{ \frac{g_V^l - Q_b g_V^b Y_{1S,2S,3S}(s)}{1 + Q_b^2 Y_{1S,2S,3S}(s)} \right\} \left(g_A^{\tau} \frac{|\vec{p}|}{p^0} + 2g_A^e \frac{\cos\theta}{1 + \cos^2\theta} \right) + P_e \frac{\cos\theta}{1 + \cos^2\theta}$$

- Dominant term is the polarization forward-backward asymmetry (A^{pol}_{FB}) whose coefficient is the beam polarization
- Measure tau polarization as a function of θ for the separately tagged beam polarization states
- Can expect ~1/2 % absolute precision of the polarization at the interaction point – includes transport effects, lumi-weighting, stray e⁺ polarization
- Method assumes tau neutrino is 100% left handed motivates validation of this
- See Caleb Miller's Talk for details on sensitivity studies achieving precision goal!

Vertical Polarization at the IP vs Turn

