Evaporative Cooling of lons in Linear Paul Traps



LOHRASP SEIFY UNDER THE SUPERVISION OF DR. ROBERT THOMPSON

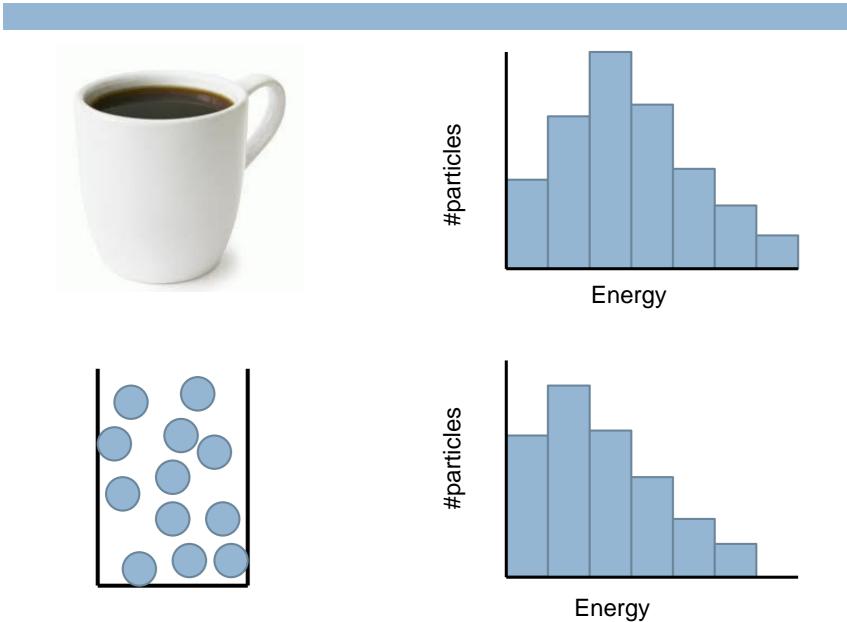


- What we are trying to achieve
- Theory
- Results
- Discussion
- Where to go from here

Goals & Motivation

- - <u>Evaporative</u> cooling in <u>Linear Paul traps</u>
 - Cooling method independent of species
 - Non-invasive, universal method of cooling
 - Titan trap mass measurement
 - Optimize temperature drop per particle lost

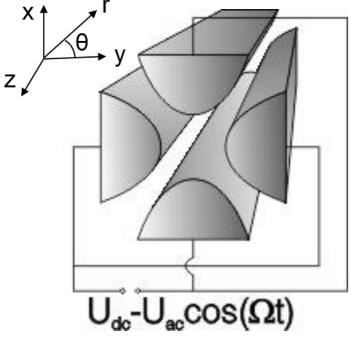
Evaporative Cooling

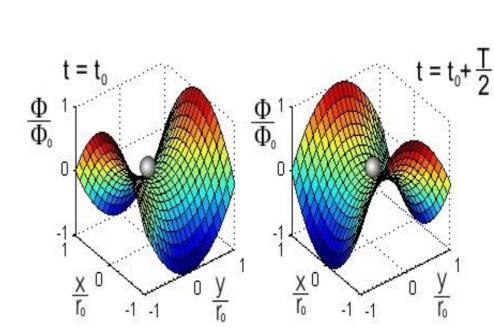


Evaporative Cooling

Evaporative Cooling

- Particles must interact, and allow system to equilibrate
- Highest energy particles are allowed to escape





Electrode Configuration

Shape of the potential at some ${\rm t_o}$ and half a period later

- Ω : Oscillation Frequency
- r_o : Radius of the trap
- \boldsymbol{z}_{o} : Length of the trap
- U_{DC} : Amplitude of DC component
- U_{AC} : Amplitude of AC component

Images from:

Humboldt-Universität zu Berlin - http://www.physik.hu-berlin.de/nano/forschung-en/np

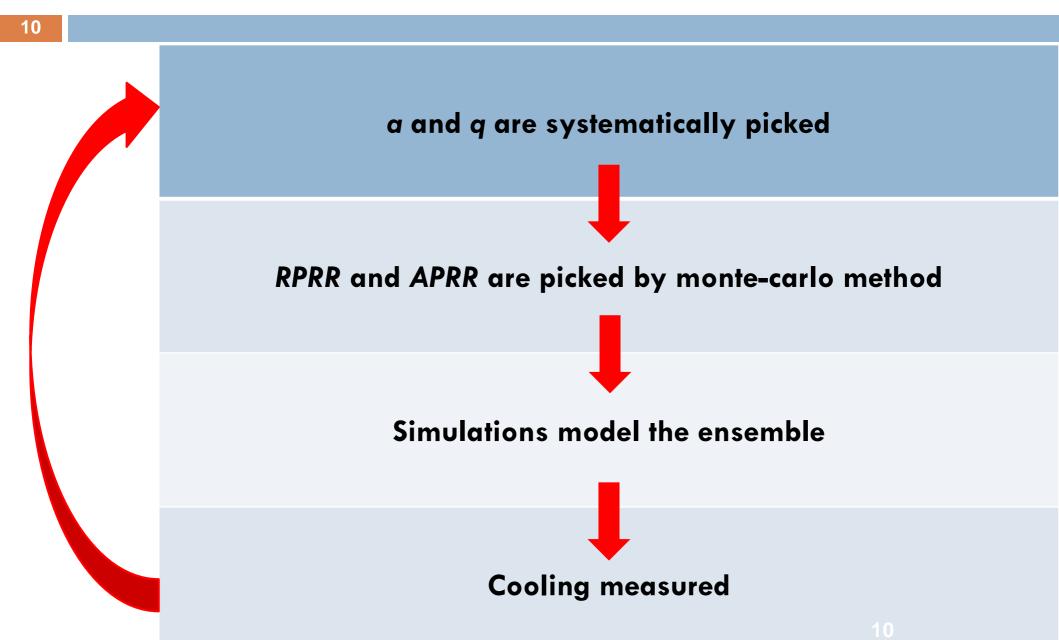
lons in Linear Paul Traps

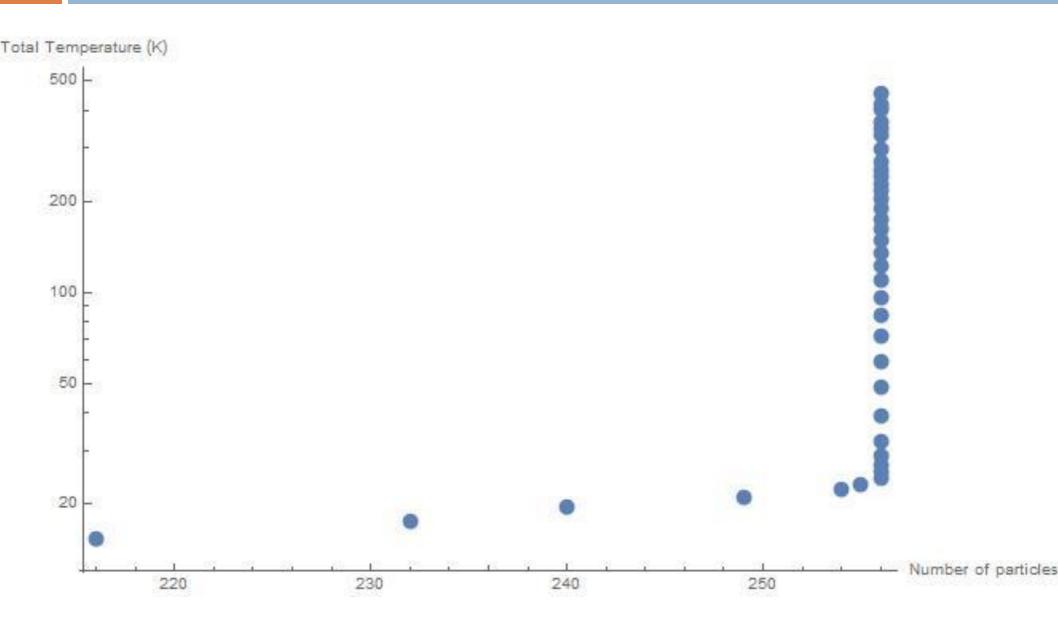
- Simple harmonic motion in z-direction
- Number of particles and energy not conserved
 - Particle-trap heating
 - Particle-particle coulomb heating
- Any cooling method must compete with above

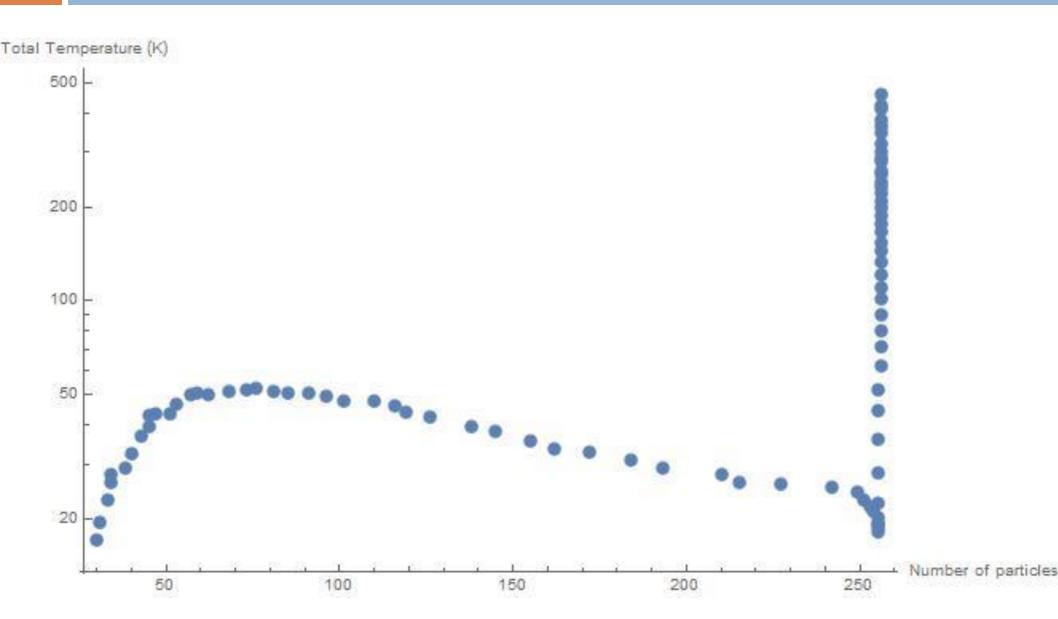
$q \propto \frac{U_{RF}}{\Omega^2} \propto Radial Potential \implies RPRR$ Radial Potential Reduction Rate

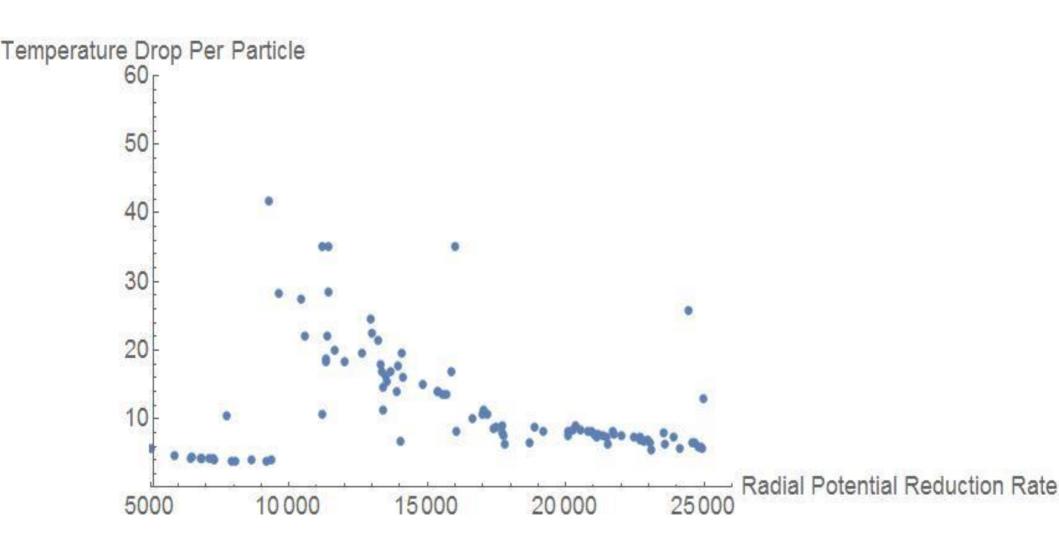
$a \propto \frac{U_{DC}}{\Omega^2} \propto Axial Potential \implies APRR$ Axial Potential Reduction Rate

Method of Investigation







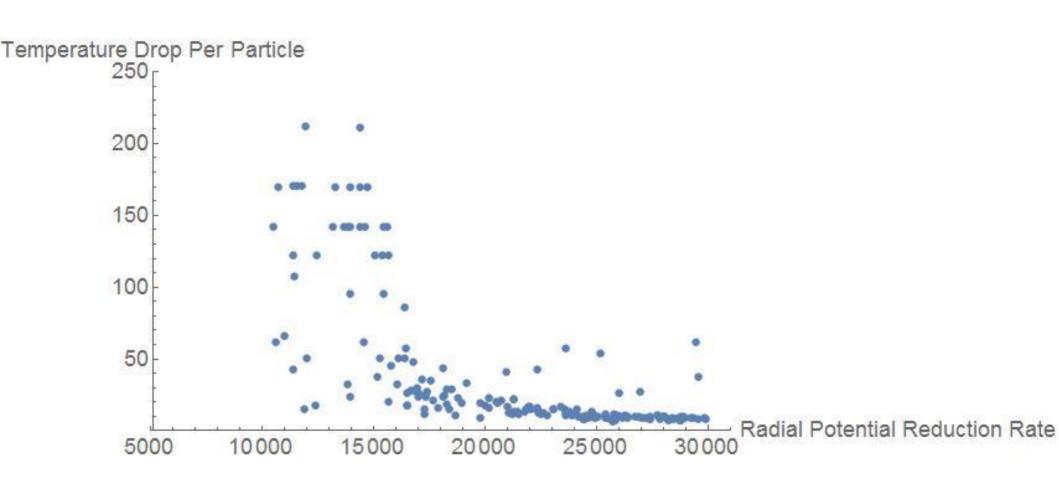


Conclusion

- Evaporative cooling overcomes intrinsic heating of LPT
- Evaporative cooling can be optimized
- Temperature drop of \sim 95% , by losing less than 10% of initial particles

Future work

- Run MC sets for lower q values to verify interaction rate
- Apply evaporative cooling to experiments in TITAN located in TRIUMF



Constants

- Initial particles = 256
- Initial temperature = 450K
- Simulation time of 5×10^{-4} sec
- Computational time of ~4 hours

Not all data is useful

$$\frac{q^2}{2} - a > 0$$

$$\frac{\left(q - \frac{dq}{dt}t\right)^{2}}{2} > a - \frac{da}{dt}t$$

$$K_x = K_y = \left(\frac{m\Omega^2}{4}\right)(q^2/2 - a)$$

$$\omega_{Sec} = \frac{\Omega}{2} \sqrt{\left(\frac{q^2}{2} - a\right)} \quad *$$

$$K_z = \frac{am\Omega^2}{2}$$

$$\omega_z = \sqrt{\frac{k_z}{m}}$$