

# Weak measurements with an ensemble quantum processor.

Aharon Brodutch

University of Waterloo

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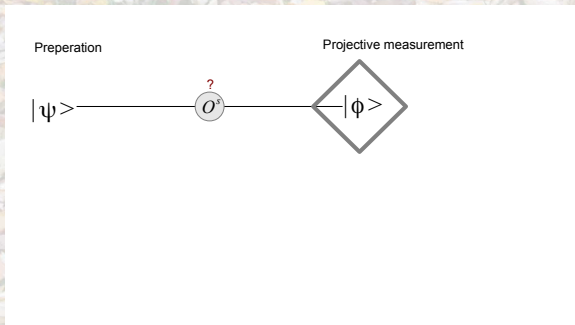


Dawei Lu, Aharon Brodutch, Jun Li, Hang Li and  
Raymond Laflamme

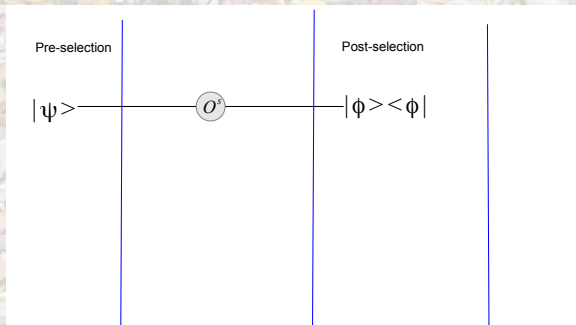
Experimental realization of post-selected weak  
measurements on an NMR quantum processor

New J. Phys. 16 053015 (2014)  
arXiv: 1311.5890

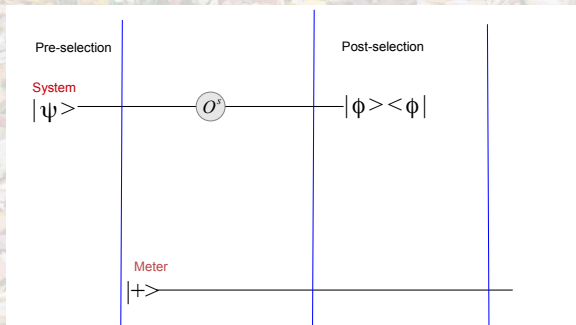
# What can we say about a quantum system between two measurements?



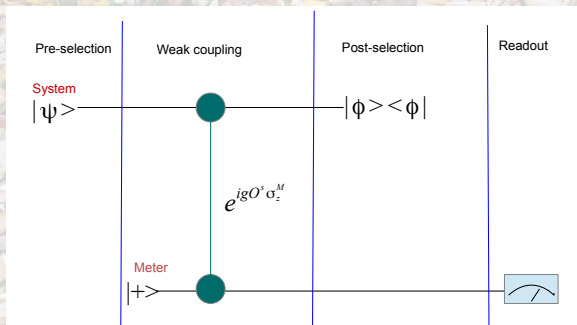
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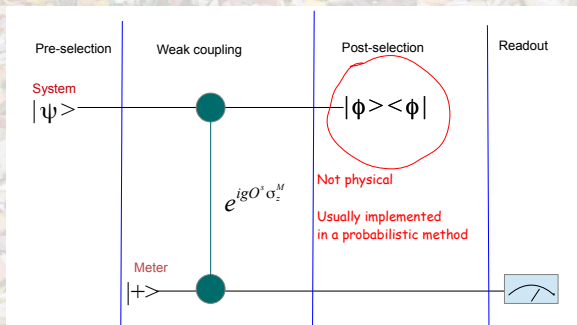


# What can we say about a quantum system between two measurements?



For  $g \ll 1$  the meter is rotated by an angle proportional to the weak value  $\{O^S\}_w = \frac{\langle\psi|O^S|\phi\rangle}{\langle\psi|\phi\rangle}$

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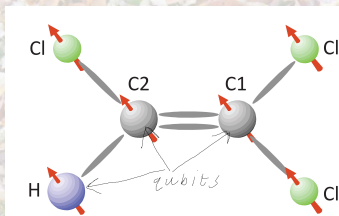
# Why weak measurements?

- Weak values are observable [Aharonov Albert Vaidman, PRL 1989; Vaidman, FoP 1991]
- Post selection paradoxes: 3box [Aharonov Vaidman, JPA 1991] Hardy's [ Aharonov et al., PLA 2002]
- Measurement without disturbance [Rozema et al., PRL 2012]
- Improved precision [Jordan Martinez-Rincon Howell, arXiv 2013]

Post selection is also useful elsewhere



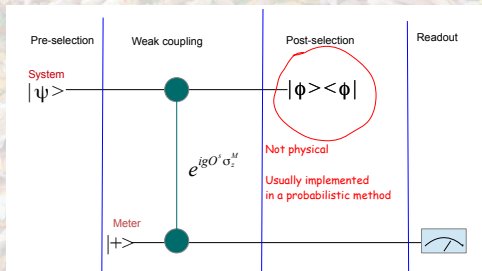
## Molecules as quantum processors



$$\mathcal{H} = \sum_{j=1}^3 \pi \nu_j \sigma_z^j + \frac{\pi}{2} (J_{13} \sigma_z^1 \sigma_z^3 + J_{23} \sigma_z^2 \sigma_z^3) + \frac{\pi}{2} J_{12} (\sigma_x^1 \sigma_x^2 + \sigma_y^1 \sigma_y^2 + \sigma_z^1 \sigma_z^2),$$

- Control dynamics by rotating individual qubits
- Readout is an average over all molecules

## Why is it hard to post-select in NMR?



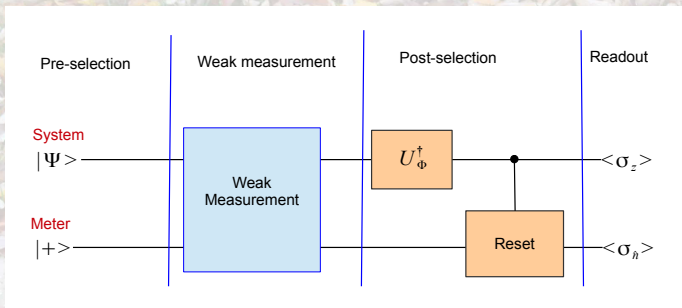
- In an experiment post-selection is not always successful.
- Usually post selection is done by discarding experiments which fail post selection.
- Requires access to individual outcomes.
- But we can only access an average over many simultaneous runs of the experiment.

## Post selection with ensemble averages

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The reset  $R$  is conditioned on the system being in  $|1\rangle$  and obeys  $\text{Tr}[\sigma_n R(\rho)] = 0$  for all  $\rho$ .

Choosing  $\hat{n} = \hat{y}$  we find:  $\text{Re}(\{\sigma_x\}_w) \approx \frac{\langle \sigma_y^M \rangle}{g(\langle \sigma_z^S \rangle + 1)}$

Note:  $R$  is not unitary.

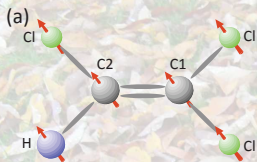
## Aims for the experiment

The first experimental implementation of weak measurements without optics

- As proof of principle we wanted to show measure two main features of weak measurements
  - 1 Weak values beyond the range of eigenvalues
  - 2 Complex weak values

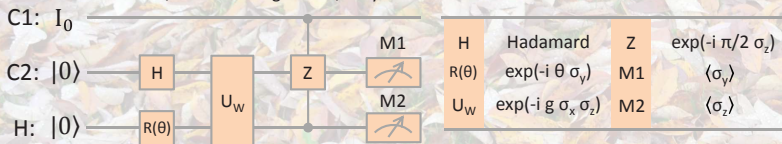


# Experimental circuit



	C1	C2	H	$T_1(s)$	$T_2(s)$
C1	21784.6			$13.0 \pm 0.3$	$0.45 \pm 0.02$
C2	103.03	20528.0		$8.9 \pm 0.3$	$1.18 \pm 0.02$
H	8.52	201.45	4546.9	$8.9 \pm 0.3$	$1.7 \pm 0.2$

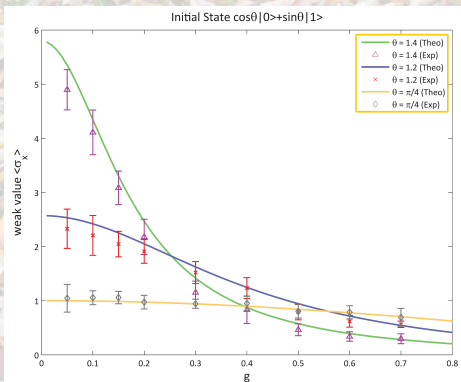
(b) C1-Ancilla; C2-Measuring Device; H-System.



To perform the reset operation we prepare an ancilla in the maximally mixed state and use a control control  $\sigma_z$  with both system and ancilla as controls.

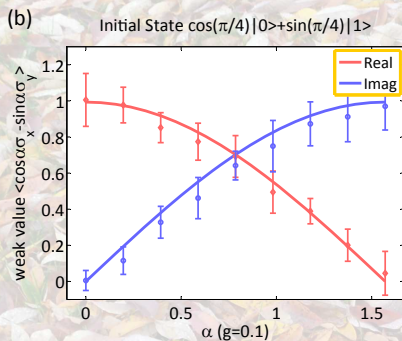
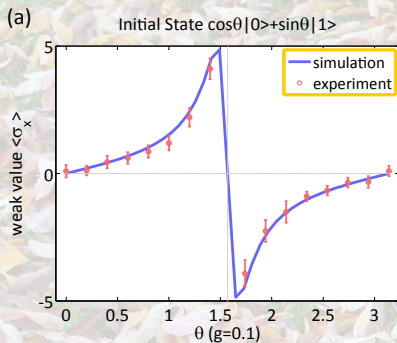
# Real weak values

## The observed 'weak value' as a function of the coupling strength



The initial state is  $\cos(\theta)|0\rangle^S + \sin(\theta)|1\rangle^S$ , the weak measurement is of  $\sigma_x$  and the post-selection was  $|0\rangle^S$

# More weak values





## Conclusions and outlook

- We measured weak values outside the range of eigenvalues and complex weak values
- Measurements of large weak values are limited by decoherence and weak signal
- Can we still use this scheme for precision measurements?
- Realization of weak measurement experiments on more qubits than other platforms
- More fun with post-selection