





Tagging boosted jets from top quarks and *W* bosons using jet substructure and multivariate techniques

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Overview

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- Jet tagging and substructure
- Improving ATLAS jet tagging
- Run 2 performance
- Newer techniques
- Results



Hadronic jet tagging

Boosted, hadronically decaying massive particles can be reconstructed in a large radius jet



SM measurements and BSM searches study final states with W and top jets. Probe the **substructure** of each of each jet to identify it

The challenges

- Huge QCD multi-jet backround
- Pileup: stochastic noise smears signal
- Finite calorimeter angular resolution

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Variables designed to be sensitive to discriminating properties of jets

example: N-subjetiness

- ► A set of *N* subjet axis are defined using the exclusive k_t algorithm.
- Sum over constituents of each jet

$$\tau_{N}^{(\beta)} = \frac{1}{d_0} \sum_{i} p_{\mathrm{T}i} \min\left\{ \left(\Delta R_{1,i} \right)^{\beta}, \left(\Delta R_{2,i} \right)^{\beta} ... \left(\Delta R_{N,i} \right)^{\beta} \right\}$$

D₂ variable is a subjet independent method of probing same structure



Many many other variables exist (this is a small subset) and were studied in the following analyses

Technique	Variable	Used for
lot Mass	Calorimeter Mass	W, Top
Jet Mass	Track Assisted Mass	W, Top
Energy Correlation functions	ECF_{1-3} + newer	W, Top
Energy Contenation functions	D_2, C_2, M_2, N_2	W, Top
N subjettinges	$ au_1, au_2, au_3$	W, Top
IN-Subjettiness	$ au_{21}, au_{32}$	W, Top
	$Z_{\rm cut}, Q_W$	W
Splitting measures	μ_{12}	W
	$\sqrt{d_{12}}, \sqrt{d_{23}}$	W, Top
Shower histories	Shower Deconstruction	W, Top



Improving run 2 performance

- Better mass reconstruction
- 2 variable tagger optimisation

Track-assisted mass: $m_{TA} = m_{track} \frac{p_T^{calo}}{p_T^{track}}$

- consider tracks associated to jet, scale to calorimeter p_T
- lack of neutral reconstruction mitigated by better angular resolution

Combined mass: Use tracking information to improve jet mass resolution

- ► Use linear combination of the two: m_{comb} = w_{calo}m_{calo} + w_{TA}m_{TA}
- ▶ weights based on resolution in jet phase space $W_{calo} = \frac{\sigma_{calo}}{\sigma_{calo}^{-2} + \sigma_{TA}^{-2}}$



- better mass resolution across the jet p_T spectrum than either definition
- Allows for tighter cuts on mass, leads to better tagging performance

2 variable optimisation







Optimise two variable cuts in parallel

- Find each set of cuts that satisfies the required working point
- Select the set of cuts that maximises background rejection
- Do for narrow p_T bins

- Results in a set of p_T dependant cuts
- Fit to form a smooth set of cuts which define the tagger

Performance



Compare the performance relative to run 1 techniques



Look at background rejection at a fixed signal efficiency

- Better mass resolution allows for a tighter cut on the jet mass, increases background rejection
- New optimisation procedure also independently improves performance by optimising cuts in the variables in parallel



Studying newer techniques

- Shower deconstruction
- MVA techniques: Boosted decision tree (BDT) and deep neural network (DNN)

Newer techniques: Shower deconstruction

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Calculate an observable for each jet in order to discriminate between signal and background jets

$$\chi(\{p\}_N) = \frac{P(\{p\}_N | S)}{P(\{p\}_N | B)}$$

for a set of N subjet momenta for an input jet, $\{p\}_N$

Use a simplified showering algorithm to calculate $P(\{p\}_N|S), P(\{p\}_N|B)$

- Simulate hard scatter and ISR only
- Only consider partons which fall within the large R jet
- Approximate decay and splitting probabilities
- Repeat using signal and background model for each jet

Finding physics signals with shower deconstruction



Sum over all possible shower histories in order to determine $P(\{p\}_N|S), P(\{p\}_N|B)$



Some jets are instantly rejected if they are deemed incompatible with the signal hypothesis

Newer techniques: multi-variate techniques



Assess the performance of boosted decision tree (BDT) and deep neural network (DNN) algorithms

In each case the set of **input variables** and the **hyperparameters** of each technique were studied and optimised

- Large training and testing samples were obtained
- A large number of variables were tested, not including the jet mass
- The correlations between the variables were also studied



BDT tagger



- Sequentially add best performing variables
- Scan over the various hyperparameters for optimum
- Can cut on output score to obtain 50% working point

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NTrees

DNN tagger



	Top Tagging Observable Groups						
Observable	1	2	3	4	5	6	7 (BDT)
ECF_1				0		0	0
ECF_2				0		0	
ECF_3				0		0	0
C_2					0	0	0
D_2					0	0	0
τ_1		0	0	0	0	0	
τ_2		0	0	0	0	0	0
τ_3		0	0	0	0	0	
τ_{21}	0		0		0	0	0
τ_{32}	0		0		0	0	0
$\sqrt{d_{12}}$	0	0	0	0	0	0	0
$\sqrt{d_{23}}$	0	0	0	0	0	0	0
Q_w	0	0	0	0	0	0	0



- Run training on groups of variables based on correlations (difficulty due to large training times)
- Overtraining is tested by studying the loss with a validation set
- Can cut on output score to obtain 50% working point

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Results





Direct comparison of the above techniques

- Practically no difference in DNN and BDT performance
- Shower deconstruction is the best single variable top tagger studied (but not for Ws)
- Newer techniques outperform traditional substructure cut based taggers

Summary

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There has been a significant improvement in tagging performance using new reconstruction and MVA techniques

- Above MC results have been studied in data ATLAS-CONF-2017-064
- MVA techniques exploit correlations between variables for better performance, up to a point
- Important also to consider better reconstruction techniques which can have a significant effect on performance

Better performance directly impacts physics results! ($W' \rightarrow tb$ search)





Backup

Study the JSS and MVA variables in data

Use a selection of qcd jets from γ +jets events and W and top jets from $t\bar{t}$ events



Study the JSS and MVA variables in data

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Can study the tagger performance in the data sample



Study the JSS and MVA variables in data

And also look the MVA tagger output score



(generalised) N-subjetiness

$$\tau_{N}^{(\beta)} = \frac{1}{d_0} \sum_{i} p_{\mathrm{T}i} \min\left\{ (\Delta R_{1,i})^{\beta}, (\Delta R_{2,i})^{\beta} ... (\Delta R_{N,i})^{\beta} \right\}$$

A set of N subjet axis are defined using the exclusive k_t algorithm. Energy correlation functions (and ratios)

$$\boldsymbol{e}_{2}^{\beta} = \frac{1}{\boldsymbol{p}_{\mathsf{T}}^{2}} \sum_{J} \sum_{i < j \in J} \boldsymbol{p}_{\mathsf{T}i} \boldsymbol{p}_{\mathsf{T}j} \boldsymbol{R}_{ij}^{\beta} \quad \boldsymbol{e}_{3}^{\beta} = \frac{1}{\boldsymbol{p}_{\mathsf{T}}^{3}} \sum_{J} \sum_{i < j < k \in J} \boldsymbol{p}_{\mathsf{T}i} \boldsymbol{p}_{\mathsf{T}j} \boldsymbol{p}_{\mathsf{T}k} \boldsymbol{R}_{ij}^{\beta} \boldsymbol{R}_{jk}^{\beta} \boldsymbol{R}_{ik}^{\beta}$$

Ratio of energy correlation functions: $D_2^{\beta} = \frac{e_3^{\beta}}{(e_2^{\beta})^3}, C_2^{\beta} = \frac{e_3^{\beta}}{(e_2^{\beta})^2}$



Optimised BDT hyperparameters

Setting Name	Value Tested
NTrees	[10, 50, 100, 200, 500, 850, 2000]
MaxDepth	[1, 2, 3, 5, 7, 10, 20, 50, 100]
MiniNodeSize	[0.5, 1.0, 2.5, 5.0, 10, 20]
nCuts	[5, 10, 20, 50, 100, 500]
Bagged Fraction	[0.1, 0.3, 0.5, 0.7, 0.9]
Shrinkage	[0.05, 0.1, 0.3, 0.5, 0.7, 0.9]

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Optimised DNN hyperparameters

	W-Boson Tagging Chosen	Top-Quark Tagging Chosen	Reference
Layer type	Dense	Dense	[24]
Number of hidden layers	5	5	[24]
Activation function	rectified linear unit (relu)	rectified linear unit (relu)	[41]
Learning rate	10 ⁻⁵	5×10^{-5}	[43]
L1 Regularizer	10 ⁻²	10 ⁻³	[41]
NN weight initialization	Glorot uniform	Glorot uniform	[44]
Batch size	200	200	[41]
Batch normalization	Yes	Yes	[45]
Training groups	Group 5	Group 6	-
Architecture	18, 25, 22, 19, 14, 7, 1	13, 18, 16, 14, 10, 5, 1	-

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DNN input group performance



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