

# Approaching the neutrino mass problem with the DUNE Near Detector

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# Neutrino mass: the problem

- $\nu$ -fit 4.0 [2018]

$$\Delta m_{21}^2 = 7.39_{-0.20}^{+0.21} \times 10^{-5} \text{ eV}^2$$

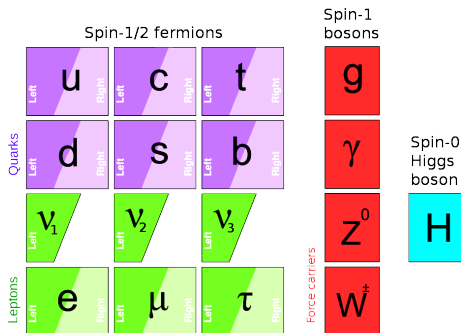
$$|\Delta m_{31}^2| = 2.525_{-0.031}^{+0.033} \times 10^{-5} \text{ eV}^2$$

- Planck [2018]

$$\sum m_\nu < 0.12 \text{ eV}$$

- Troitsk [2011] with  ${}^3\text{H}$   $\beta$  decay

$$\sum |U_{e\nu}|^2 m_\nu < 2.05 \text{ eV}$$



## Issues?

- No  $\nu_R$  in the SM, so no Yukawa coupling
- A neutrino ( $\sim \text{eV}$ ) is  $< 2 \times 10^{-6} m_e$
- Dirac vs Majorana? **LNV**

## Easy!

Add “right-handed” neutrinos!

# Approach: Inverse seesaw model, ISS( $a, b$ )

Extend the SM by adding singlet fermions  $N_{i=1..a}$  with  $+q_L$  and  $S_{j=1..b}^c$  with  $-q_L$

$$Y_{\alpha i}^D \bar{L}_\alpha \tilde{H} N_i^c + Y_{\alpha i}^R \bar{L}_\alpha H S_i + \frac{1}{2} (M_R)_{ij} \bar{N}_i^c N_j + \frac{1}{2} (\mu_R)_{ij} \bar{N}_i^c N_j + \frac{1}{2} (\mu_S)_{ij} \bar{S}_i^c S_j \text{ .h.c.}$$

$$\mathcal{M} = \begin{pmatrix} 0 & \overset{\text{LNC}}{m_D^T} & 0 \\ m_D & 0 & M_R \\ 0 & M_R^T & 0 \end{pmatrix} + \begin{pmatrix} 0 & \overset{\text{LNV}}{0} & 0 \\ 0 & \mu_R & 0 \\ 0 & 0 & \mu_S \end{pmatrix}$$

$m_D (3 \times a)$  and  $M_R (b \times a)$

Minimal realisation  
( $a, b$ ) = (2, 2) or (2, 3)

[Abada, Lucente, 2014]

**LNC**

⋮

Dirac pairs

Weyl massless states

**LNV with  $a = b$**

⋮

Pseudo-Dirac pairs

Majorana states

**LNV with  $a \neq b$**

⋮

Pseudo-Dirac pairs

Majorana states

# Building observables: Majorana vs Dirac

- **Decay:** For a **charged current** process

$$d\Gamma(N \rightarrow \ell_{\alpha}^{-} X^{+}) = d\Gamma(N_D \rightarrow \ell_{\alpha}^{-} X^{+}) \quad \text{and} \quad d\Gamma(N \rightarrow \ell_{\alpha}^{+} X^{-}) = d\Gamma(\bar{N}_D \rightarrow \ell_{\alpha}^{+} X^{-})$$

For a **neutral current** process

$$d\Gamma(N \rightarrow \nu Y) = d\Gamma(N_D \rightarrow \nu Y) + d\Gamma(\bar{N}_D \rightarrow \bar{\nu} Y)$$

↓

$$\Gamma(N \rightarrow \nu Y) = 2\Gamma(N_D \rightarrow \nu Y)$$

*Practical Dirac-Majorana confusion theorem* [Kayser, Shrock, '82]:

**factor of two** enhancement is absent for light neutrinos, due to **polarisation** which suppresses  $\Delta L = 2$  contributions

However, if mass effect is not negligible, regardless of polarisation

Dirac and Majorana neutrinos have **distinct** total decay rates

- **Production:** only CC processes involved  $\Rightarrow$  no difference between Dirac and Majorana decay widths

# Building observables: effect of helicity

- **Decays:** are affected by helicity at the distribution level, different behaviour for Majorana or Dirac Total decays are not: **arbitrariness** of polarisation direction

NC decay to pseudo-scalar meson, for Majorana  $\Rightarrow$  **isotropic**

$$\frac{d\Gamma_{\pm}}{d\Omega_P} (N \rightarrow \nu P^0) \propto \left( \sum_{\alpha=e}^{\tau} |U_{\alpha N}|^2 \right) (1 - x_P)^2$$

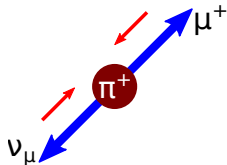
NC decay to pseudo-scalar meson, for Dirac  $\Rightarrow$  **angular dependence**

$$\frac{d\Gamma_{\pm}}{d\Omega_P} (N_D \rightarrow \nu P^0) \propto \left( \sum_{\alpha=e}^{\tau} |U_{\alpha N}|^2 \right) (1 - x_P) [1 - x_P \mp (1 - x_P) \cos \theta]$$

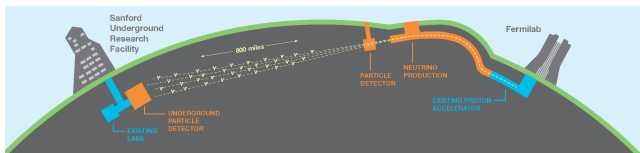
- **Production:** processes are sensitive to helicity

Using scale factor to model flux of HNL from flux of light neutrino to fix phase space and helicity

$$\mathcal{K}_{X,\alpha}^{\pm}(m_N) \equiv \frac{\Gamma^{\pm}(X \rightarrow NY)}{\Gamma(X \rightarrow \nu_{\alpha} Y)} \quad \text{unsuppression}$$

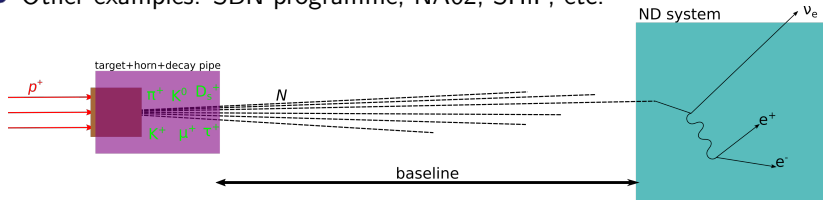


# Beam dump experiment: DUNE



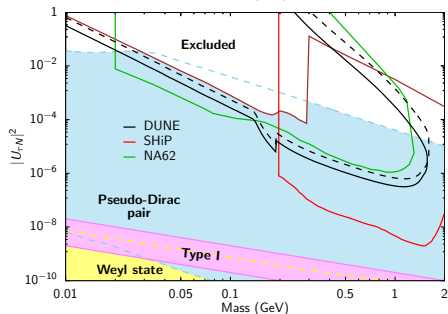
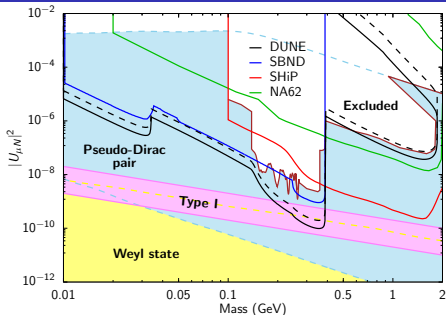
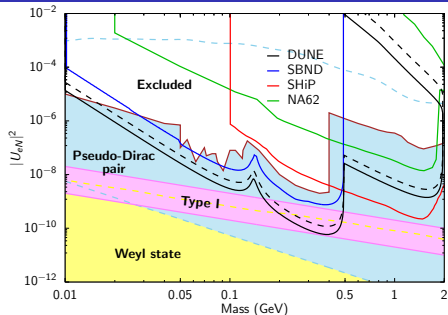
80 GeV protons beam on graphite target, total of  $1.32 \times 10^{22}$  POT, for each FHC and RHC modes

- ND placed **at 574 m** vs FD at 1300 km:  $\nu$  flux  $5 \times 10^6$  times more intense!
- LArTPC is  $(3 \times 3 \times 4) \text{ m}^3$  by 50 t + HParFGT  $(3.5 \times 3.5 \times 6.4) \text{ m}^3$  by 8 t (?)
- Other examples: SBN programme, NA62, SHiP, etc.



**GENIE** (background = SM neutrino interactions) + **custom MC** (signal = HLN decays)  $\Rightarrow$  **fast MC** of DUNE ND Reconstruction  $\Rightarrow$  particle identification + kinematic distribution  $\Rightarrow$  reduce background

# Results: sensitivity to discovery



Sensitivity for channels with best prospect discovery:

$$\nu e^+ e^-, \nu e^\pm \mu^\mp, \nu \mu^+ \mu^-, \nu \pi^0, \\ e^\mp \pi^\pm (|U_{eN}|^2 \text{ only}), \text{ and} \\ \mu^\mp \pi^\pm (|U_{\mu N}|^2 \text{ only})$$

# Results: sensitivity to LNV

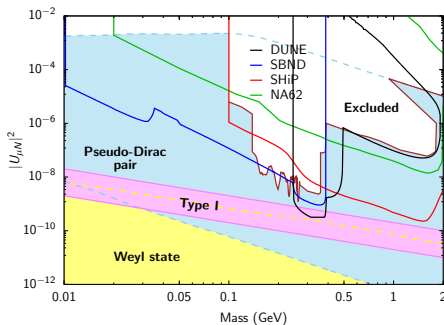
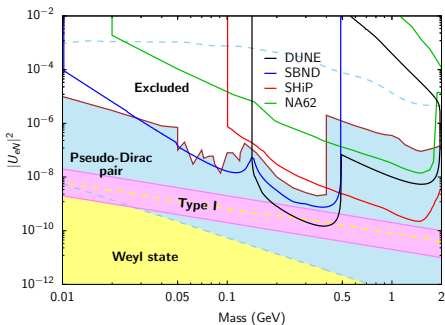
Focus on  $N \rightarrow \ell^\mp \pi^\pm$  channels: best sensitivity!

If HNL is Dirac (and if there is charge-ID in ND):

- FHC mode  $\Rightarrow$  more  $\ell^- \pi^+$  (factor  $\sim 10$ )
- RHC mode  $\Rightarrow$  more  $\ell^+ \pi^-$  (factor  $\sim 3$  to 5)

- need to detect HNL first!
- need some statistics

If HNL is Majorana  $\Rightarrow$  same rate of  $\ell^- \pi^+$  and  $\ell^+ \pi^-$





# Conclusions

- Varieties of model can **address** the neutrino problem
- **Inverse seesaw mechanism** provides also testable observables
- Helicity/polarisation are important!
- DUNE ND is **very sensitive** and can “close the gap”
- If we see a HNL, this can be explained by a low scale mass models
- With good statistics, we can determine if it is **majorana or Dirac**

If we don't see anything

- more powerful experiment?
- new techniques?
- better theory?

Efforts from all sides needed!

Thank you.