



Angular Analysis of $B^+ \rightarrow K^+ ee$ Decays at the LHCb Experiment

IOP 2019 - Imperial College, London

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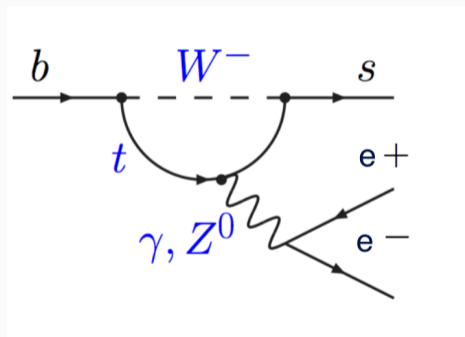
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¹University of Bristol,
on behalf of the LHCb collaboration

Introduction I

Precision measurements using electroweak penguins

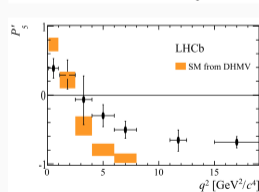
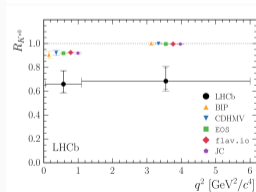
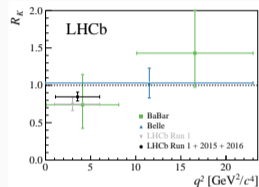
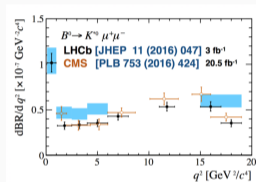
- $b \rightarrow sll$ forms a family of rare decays
- Look at the observables where:
 - SM contribution is small
 - The measurement can be made to a high precision
 - Predicted to a high precision
- Flavour changing neutral currents in SM
 - Loop level
 - GIM suppressed
 - Left handed chirality
 - NP could violate any of these



Introduction II

The anomalies in the $b \rightarrow sll$ sector persist and are not understood

- $b \rightarrow sll$ is a rare decay - so NP contributions could enter on a comparable level
- Three key areas:
 1. Lepton flavour universality tests in decay rates of $B^{(*)+} \rightarrow K^{(*)+} l^+ l^-$
 2. Measured decay rates in $B^{(*)} \rightarrow K^{(*)} \mu^+ \mu^-$ and $B_s \rightarrow \phi \mu^+ \mu^-$
 3. Angular analyses of $B^{(*)} \rightarrow K^{(*)} \mu^+ \mu^-$ and $B_s \rightarrow \phi \mu^+ \mu^-$
- Now more than ever we need precision measurements.

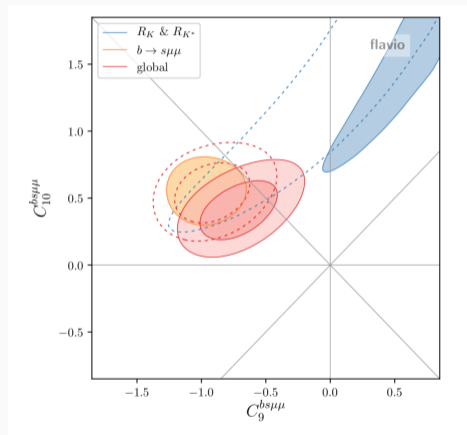


How do we interpret the anomalies?

- Model using effective field theories



- $C_7, C_9, C_{10}, C_P, C_S, C_T$ - photon, vector, axial-vector, (pseudo-)scalar, tensor
- Global fits point towards a shift in Wilson Coefficient C_9 (vector)
- Hints at potential lepton flavour universality violating effects in C_9



Real C_9 and C_{10} global fits showing the shift in favour of C_9 - (SM on crosshair) - Morimond 2019

Introduction IV: Where does an angular analysis come in?

Prompted to reconsider assumptions about lepton universality in other currents.

The $B^+ \rightarrow K^+ \ell^+ \ell^-$ decays have a very simple angular structure in terms of these parameters:

$$\frac{1}{\Gamma} \frac{d\Gamma}{d\cos\theta_l} = \frac{3}{4}(1 - F_H)(1 - \cos^2\theta_l) + \frac{1}{2}F_H + A_{FB}\cos\theta_l$$

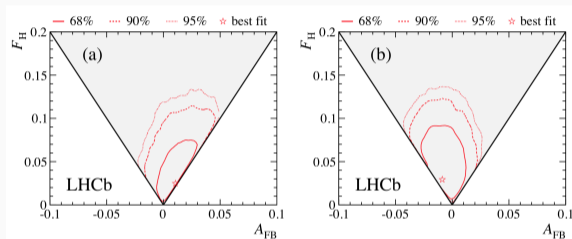
Quadratic in $\cos\theta_l$, cosine of the opening angle between the l^+ and K^+

- For $q^2 \gg m_\ell^2$, F_H and A_{FB} **ONLY** sensitive to (pseudo-)scalar and tensor couplings ($C_{S,P,T}$).
- Thus electron final state not sensitive to C_9 and C_{10} in majority of q^2 distribution
 - Excellent sensitivity to (pseudo-)scalar and tensor Wilson coefficients $C_{S,P}$ and C_T
 - Alternatively validation of electron reconstruction and thus $R_{K^{(*)}}$ measurements

Introduction V: Previous Work

What does the measurement look like?

- The run 1 Angular fit in A_{FB} , F_H space of $B^+ \rightarrow K^+ \mu\mu$ is in agreement with the SM
- The allowed angular distribution lies in a triangle in A_{FB} and F_H space.
- Physical region takes this shape by requiring angular PDF to be positive definite for all $\cos\theta_l$

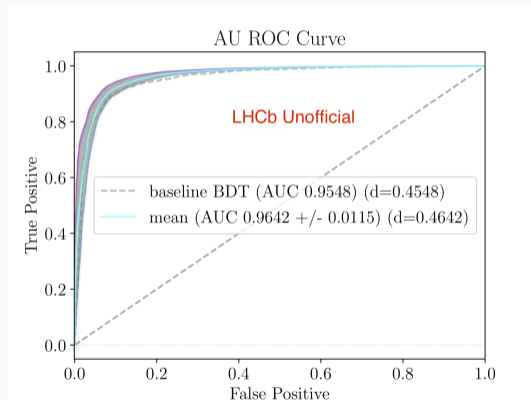


Angular fit in A_{fb} , F_H space for two q^2 regions (a) 1.1 - 6 GeV, (b) 15 - 20 GeV [JHEP 1405 \(2014\) 082](#)

Selection

Analysis conducted with 2011+2012 (Run1) and 2015+2016 (Run2) dataset

- Key backgrounds: combinatorial, partially-reconstructed ($B \rightarrow K^* ee$), cascading semi leptonic decays ($B \rightarrow D^0(\rightarrow Ke\nu)e\nu$)
 - Selection utilises a series of neural networks to suppress backgrounds
 - And focused selections on particle mass hypotheses for mis-ID
 - Simulation calibrated using data control channels
- Calibrate: B^+ kinematics, Tracking, Particle ID, Trigger, Resolution



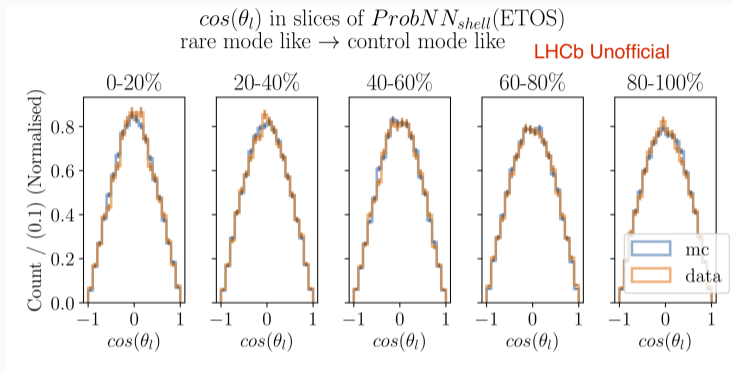
ROC curve from combinatorial neural network

Validating the control mode

Angular distribution of $B^+ \rightarrow K^+ J/\psi(\rightarrow ee)$ well known - use as control mode

It will be a different q^2 region, different decay, different kinematics, etc...

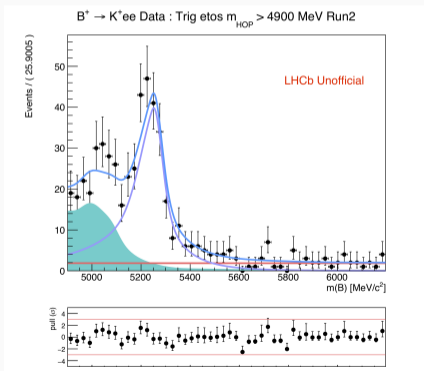
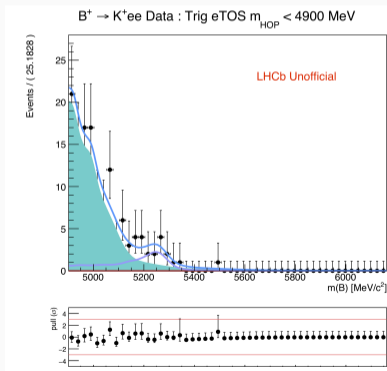
- Need a way to approximate the rare mode
- Built a classifier (TF NN) to separate $B \rightarrow K_{ee}$ and $B \rightarrow J/\psi K$ MC. lepton and kaon opening angles, and high + low electron P_T
- Compare angular distribution of data/mc $B \rightarrow J/\psi K$ in slices of this classifier



- \rightarrow MC and data in agreement over this variable
- \rightarrow Allows us to validate our corrections in proxy variable for q^2
- \rightarrow Given the inherent difficulty in justifying corrections from one region onto another, provides valuable validation information

Mass Fits

- Mass fitting strategy uses partially-reconstructed enriched + depleted regions as constraint
- 6 part simultaneous fit to three trigger categories for two part-reco regions

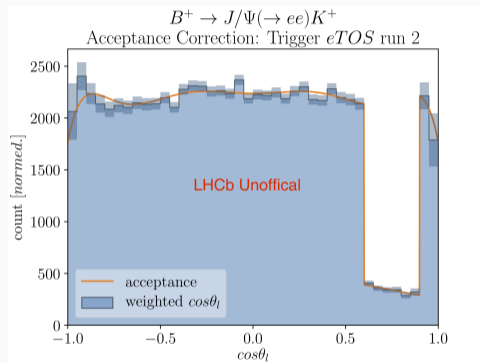


Yields consistent with those published in [arXiv:1903.09252]

Acceptance Corrections

To account for all sculpting of angular distribution

- Correction accounts for all selections in the pipeline, as well as detector / trigger level effects
- Model the difference of final selection to generator level MC
- Describe using Legendre Polynomial
- The step comes from focused selections against cascading semi leptonic backgrounds in the rare mode



$B^+ \rightarrow D^0(\rightarrow K e \nu) e \nu$ peaks in
 $0.6 < \cos\theta_1 < 0.9$

Angular Fit I: $B \rightarrow J/\Psi(\rightarrow ee)K^+$ simultaneous fit

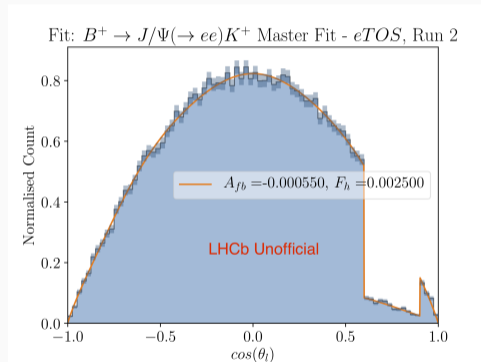
Fit function for the angular distribution is just a quadratic

$$\frac{1}{\Gamma} \frac{d\Gamma}{d\cos\theta_l} = \frac{3}{4}(1 - F_H)(1 - \cos^2\theta_l) + \frac{1}{2}F_H + A_{FB}\cos\theta_l$$

SM parameters for $B^+ \rightarrow K^+ J/\Psi(\rightarrow ee)$:

$$A_{FB}, F_H = 0, 0$$

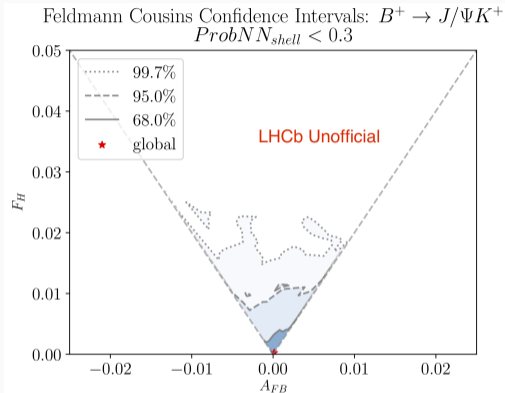
- Global fit is a 6 part simultaneous (3x exclusive trigger categories, 2x runs)
- Binned ML fit to $\cos\theta_l$ in 20 bins, limited by mc statistics to understand q^2 migrations



Angular Fit II: $B^+ \rightarrow K^+ ee$ like $B^+ \rightarrow K^+ J/\Psi(\rightarrow ee)$ Data

Angular fit to the most $B^+ \rightarrow K^+ ee$ like $B^+ \rightarrow K^+ J/\Psi(\rightarrow ee)$ data to approximate rare mode

- Use a cut on $ProbNN_{shell} < 0.3$ to select the most Kee like $B^+ \rightarrow K^+ ee$ like $B^+ \rightarrow K^+ J/\Psi(\rightarrow ee)$ data
- This is the closest we can get with the control mode data to being confident about the propagation into the rare mode
- Full 2D Feldmann Cousins method to quantify systematic uncertainties - due to unphysical regions

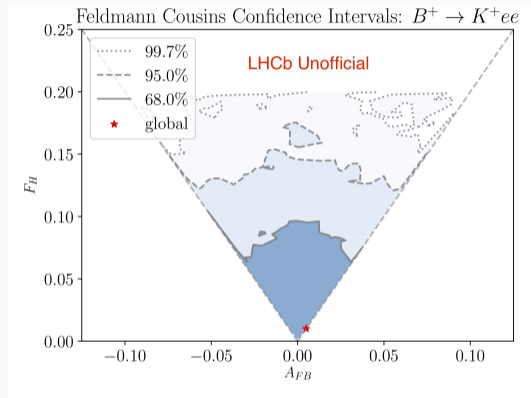


Feldmann Cousins confidence interval for Kee like $B^+ \rightarrow K^+ J/\Psi(\rightarrow ee)$ data, to approximate rare mode. Uncertainties estimated with full Feldmann Cousins

Angular Fit III: $B^+ \rightarrow K^+ ee$ Expected Precision

What kind of confidence interval can we expect from our final result?

- Generate toy samples with specified A_{FB}, F_H - yields taken from mass fits to Run1 + Run2 data
 - same six part simultaneous fit as in the $B^+ \rightarrow K^+ J/\Psi(\rightarrow ee)$ mode
 - The results of the full Feldmann Cousins scan give an uncertainty on the order of 0.075 in F_h
 - Uncertainty is statistically dominated
- Key systematics understood - background subtraction, and acceptance correction



Feldmann Cousins confidence intervals from toy studies, showing realistic uncertainty constraints

Nearing the end of this analysis.

- Validated our corrections and fit procedure
- Main systematic uncertainties have been evaluated
- Results should provide the most stringent constraints in C_S , C_P and C_T couplings to electrons

Questions / Comments?