

Data-driven fake- τ backgrounds: from binned fake factors to a learned, continuous fake factor

Validation in the type-II/III seesaw searches

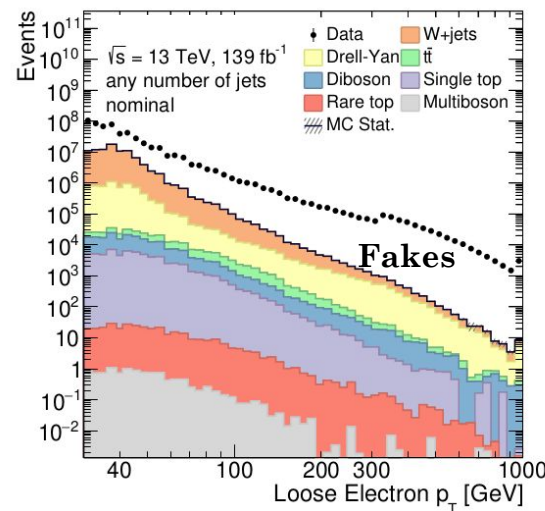
Partikeldagarna 2026, Lund

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- Many analyses in ATLAS suffer from fakes or non-prompt objects
- The probability for fake to pass all the selection criteria depends:
 - Detector response
 - Physics processes
 - Reconstruction techniques → Motivation for **data-driven approaches!**
 - Event kinematics
- Different analyses require different analysis strategy

[arXiv: \[2211.07505\]](https://arxiv.org/abs/2211.07505)



What do we consider by term “fakes”?

- Generally, we deal with two different “types” of fakes:
 - **Non-prompt leptons**: ‘genuine’ leptons that do not originate from prompt hard interaction (heavy flavour decays, meson decays, ..)
 - **Misconstructed leptons**: reconstructed as leptons (but the underlying particle was different for e.g. jets reconstructed as electrons, electrons reconstructed as photons, ...)

Simplified idea: How do we estimate fakes?

Goal: estimate the fake contribution in the SR^* using measurements performed elsewhere.

Same goal for every method, they differ in **what** is measured, **how** it is transferred and **where** it is measured!

Where?

1. Object selection
Signal region enriched
with prompt object

What?

2. Measure the detector response
Prompt/Fake efficiencies
Template extraction
Fake/Transfer factors (FF/FT)

How?

3. Fake rate prediction
Event weights
Template fit
Fake estimation from FF/FT

Does it make sense?

4. Validation
Closure tests
Validation regions
Residual corrections

How well?

5. Systematic uncertainties
Extrapolation
Statistics
Detector description

***signal region (SR)** = region of phase space where we look for our signal
(defined by object requirements and kinematic cuts)

All four methods are centrally supported in ATLAS, the most optimal choice is **analysis dependent**

Method	STEP 2	STEP 3	Typical use
	What is measured	How the SR yield is built	
Matrix method	real and fake efficiencies $\varepsilon_r, \varepsilon_f$	invert the efficiency matrix $\rightarrow$ per-event weights	multi-lepton, low statistics
Fake factor	$F = \varepsilon_f / (1 - \varepsilon_f)$ in a fake-enriched CR	reweight anti-ID data, event by event	τ and lepton searches
Template fit	shape of an ID or isolation variable	fit the fake normalisation in the SR	photons, jet $\rightarrow \gamma$
ABCD	yields in two uncorrelated variables	$N_D = N_B N_C / N_A$	inclusive, low statistics

- **Data-driven technique** to estimate the contribution of fake leptons in the **signal (tight)** region
- Two sets of lepton identification criteria: **tight** and **loose** (without tight)
- The fake factor F is defined as the ratio:

$$F = \frac{f N_f^L}{(1-f) N_f^L} = \boxed{\frac{f}{1-f}}$$

- Estimated number of fake events in the signal region is:

$$N_{TT}^{\text{fakes}} = \underbrace{F_1(N_{LT}^{\text{data}} - N_{LT}^{\text{MC, prompt}})}_{\substack{\text{1 fake lepton (LT region)} \\ \text{fake factor } F_1 \times (\text{data-prompt MC})}} + \underbrace{F_2(N_{TL}^{\text{data}} - N_{TL}^{\text{MC, prompt}})}_{\substack{\text{1 fake lepton (TL region)} \\ \text{fake factor } F_2 \times (\text{data-prompt MC})}} - \underbrace{F_1 F_2(N_{LL}^{\text{data}} - N_{LL}^{\text{MC, prompt}})}_{\substack{\text{2 fake leptons (LL region)} \\ \text{fake factor } F_1 F_2 \times (\text{data-prompt MC}), \text{ subtracted}}}$$

	Tight	Loose
Loose	LT 1 fake lepton $F_1(N_{LT}^{\text{data}} - N_{LT}^{\text{MC, prompt}})$	LL 2 fake leptons $-F_1 F_2(N_{LL}^{\text{data}} - N_{LL}^{\text{MC, prompt}})$
Tight	TT SR	TL 1 fake lepton $F_2(N_{TL}^{\text{data}} - N_{TL}^{\text{MC, prompt}})$

Goal: Improve fake factor estimation using machine learning tools!

Why?

- Traditionally, fake factors are binned in p_T , $|\eta|$, and MET (some **limitations**: limited statistics per bin, interpolation issues, and difficulty extrapolating to more variables)

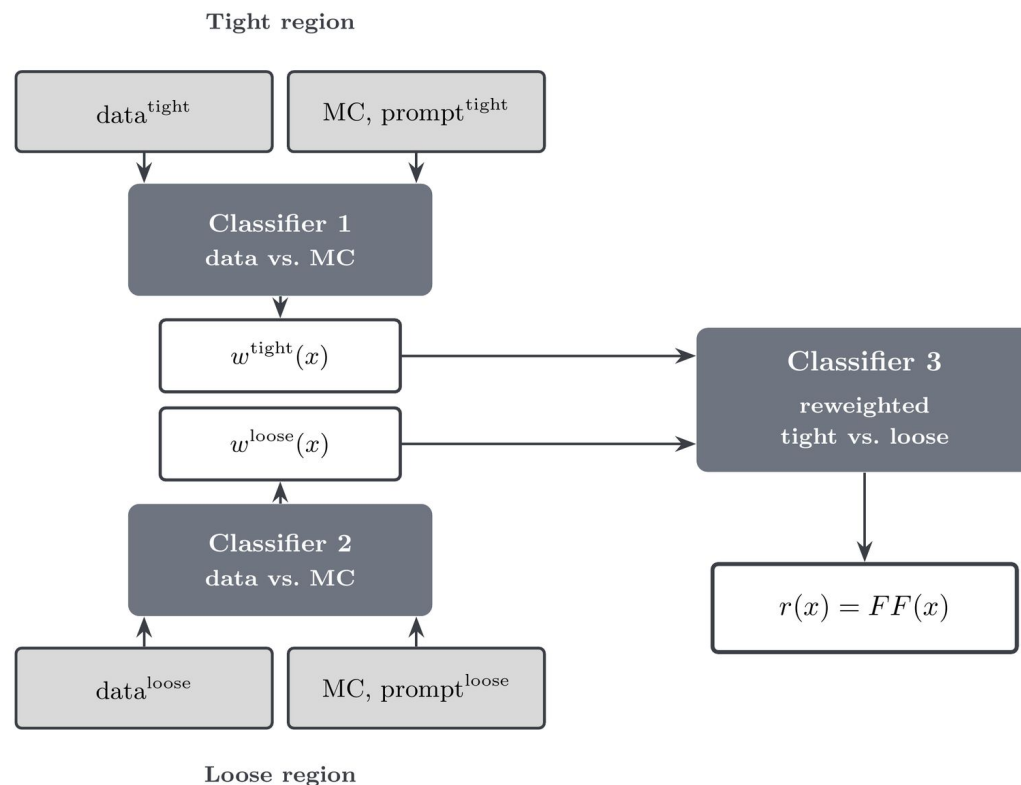
How?

- Idea**: estimate the fake factor as an unbinned, continuous density ratio, learned directly from data

The density-ratio trick:

The fake factor is a ratio of prompt-subtracted densities in the tight and loose regions:

$$r(x) \equiv w(x) = \frac{p(x_{\text{data}}^{\text{tight}}) - p(x_{\text{MC}}^{\text{tight}})}{p(x_{\text{data}}^{\text{loose}}) - p(x_{\text{MC}}^{\text{loose}})}$$



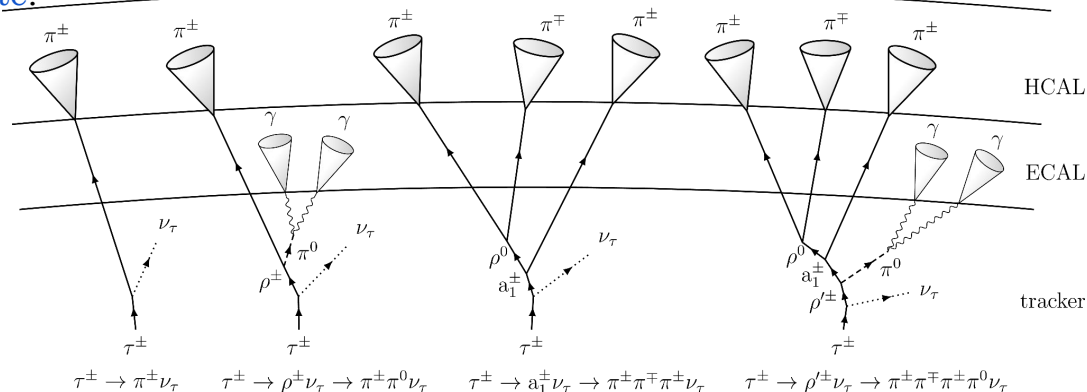
[JHEP04\(2026\) 188](#), [arXiv: \[2511.06972\]](#)

In practice: Fake factors for taus – Fakes: the background we can't take from simulation

- τ leptons decay before the detector ($c\tau \approx 87 \mu\text{m}$) – they decay inside the beam pipe, before the first pixel layer
 - 65% hadronically $\rightarrow$ we only ever see $\tau_{\text{had-vis}}$: 1 or 3 charged tracks and π^0 s, inside a narrow cone
 - 35% leptonic $\rightarrow$ look like e/μ
 - Broadly speaking, there are 2 flavours of fake leptons:
 - **non-prompt real objects**
 - **misidentified**
 - Objects that we need to estimate are reconstructed jets that we identify as $\tau_{\text{had-vis}}$

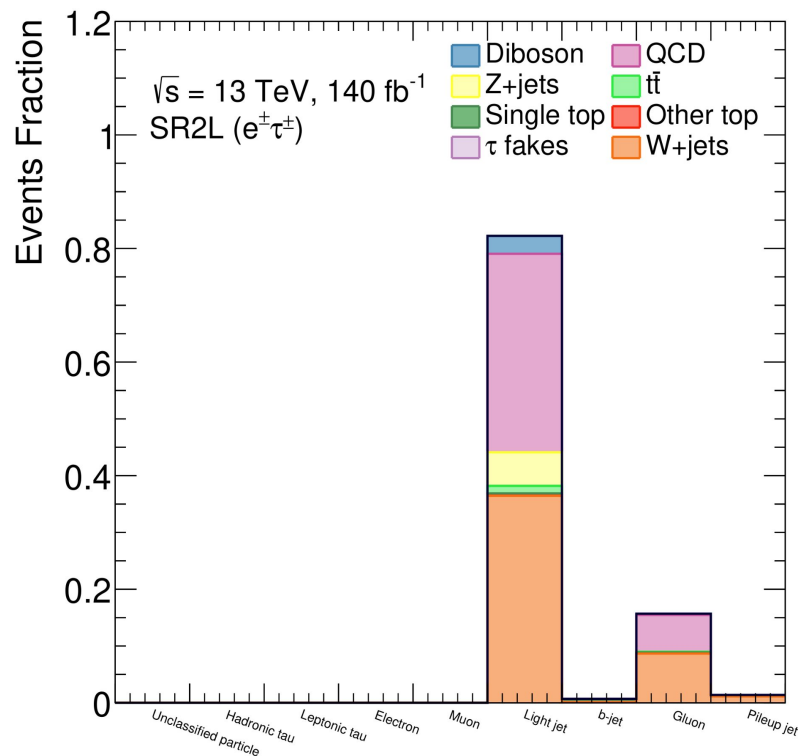
Source: Izaak Neutelings, https://tikz.net/tau_decay/

Every τ_{had} analysis needs a **data-driven estimate!**

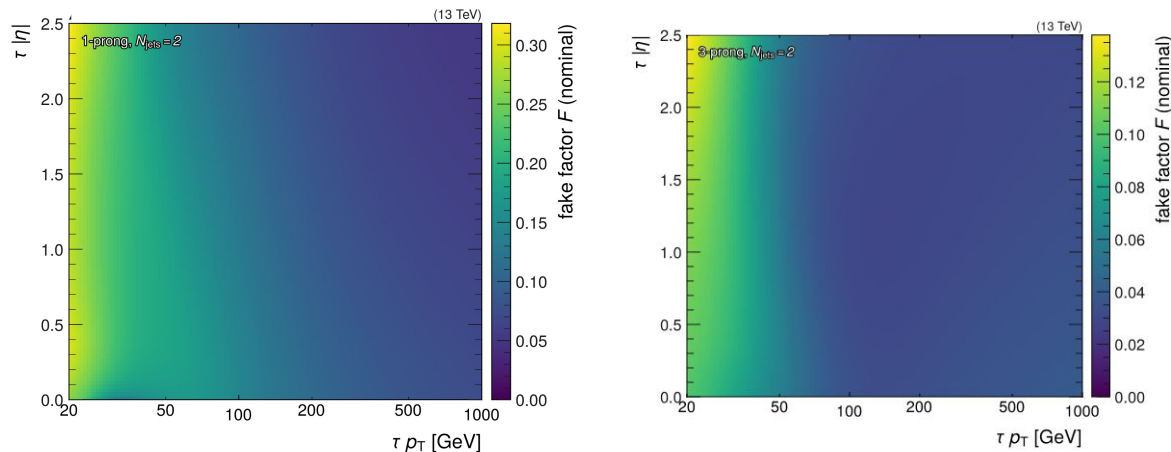


- Also, we can distinguish fakes into 4 different categories based on truth flavor:
 - light quark (q)
 - gluon (g)
 - b
 - pile-up (p)
- 80 % of τ_{had} candidates are light quark jets

Work in progress!



(τ) Fake factor methods: Learned continuous fake factor



Fake factor is a **density ratio**:

$$F = \frac{N_{\text{data}}^T - N_{\text{MC}}^T}{N_{\text{data}}^L - N_{\text{MC}}^L}$$

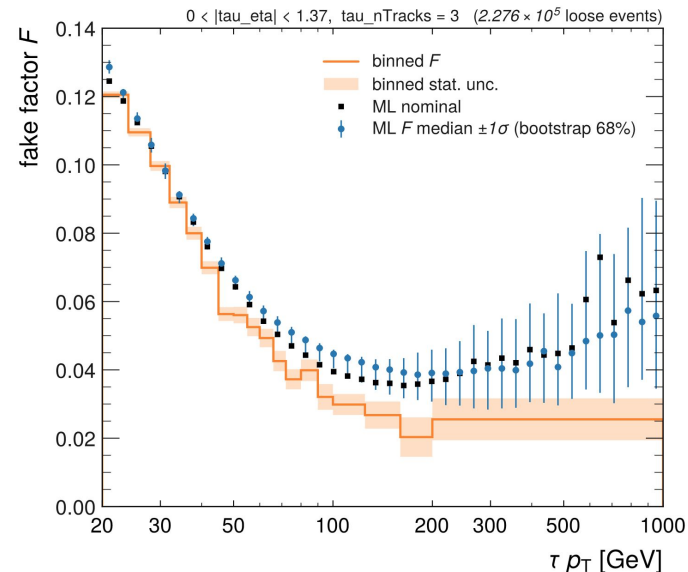
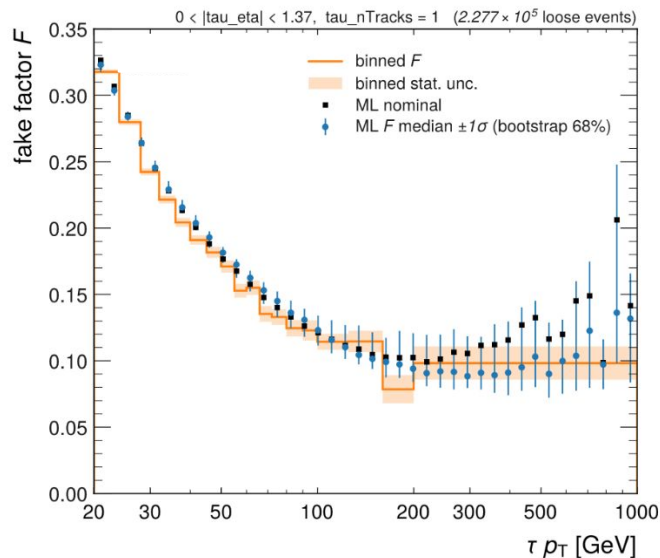
$$F(x) = \frac{p^T(x)}{p^L(x)}$$

The **idea**: estimate the ratio with classifiers trained on data (one for subtraction and one for tight/loose ratio) $\rightarrow$ per event $F(x)$ in 11 variables

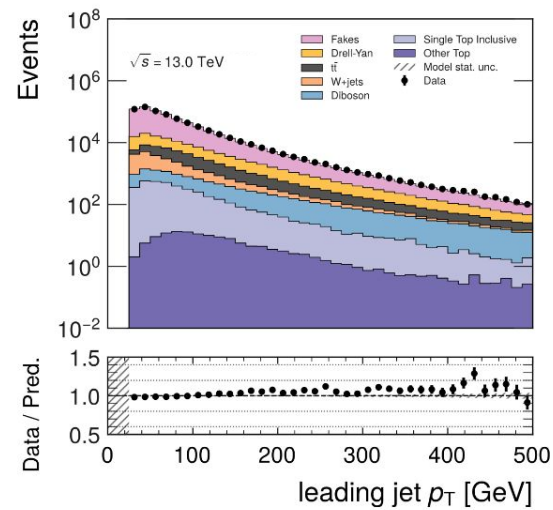
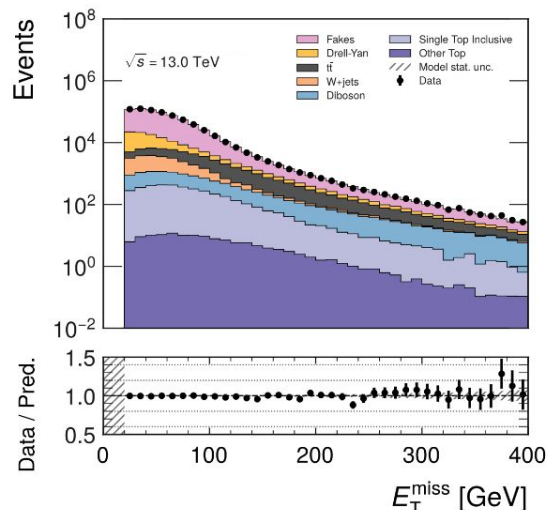
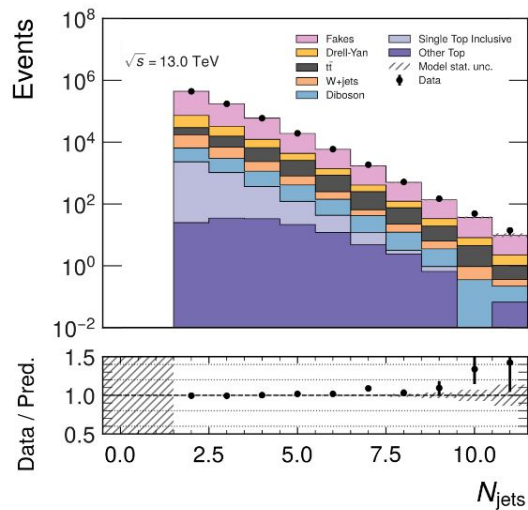
- More details: [JHEP04\(2026\) 188](#), [arXiv: \[2511.06972\]](#)
- Statistical uncertainties come from a Poisson bootstrap
- Classifier based density ratio estimation, trained on data

Typical CR: W ($\mu\nu$)+jets: trigger on the muon (τ candidate is trigger-unbiased)

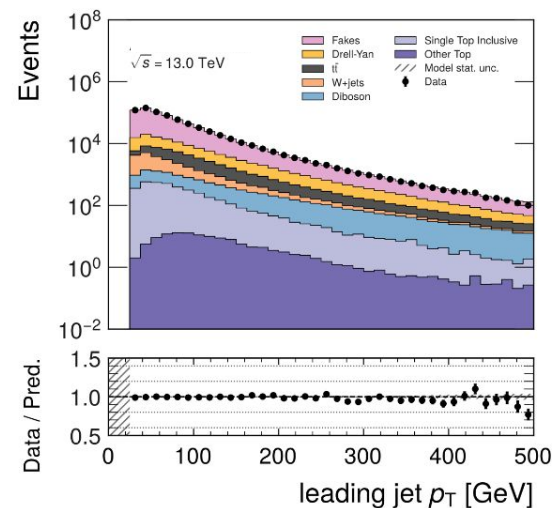
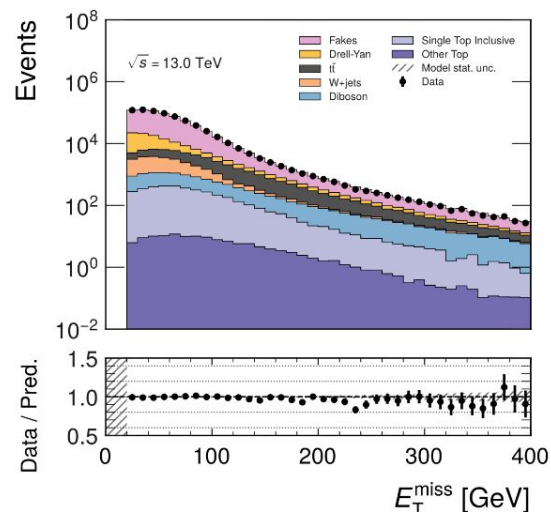
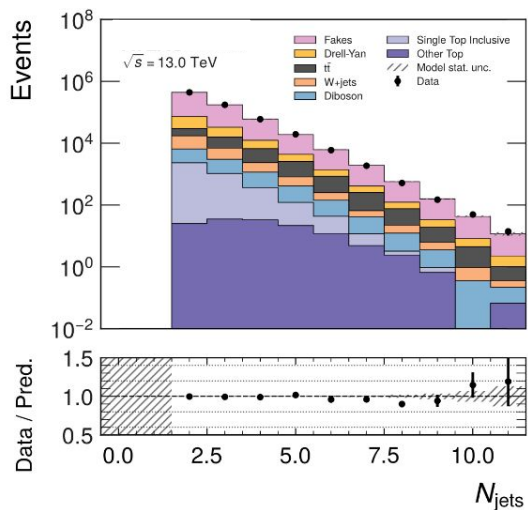
Work in progress!



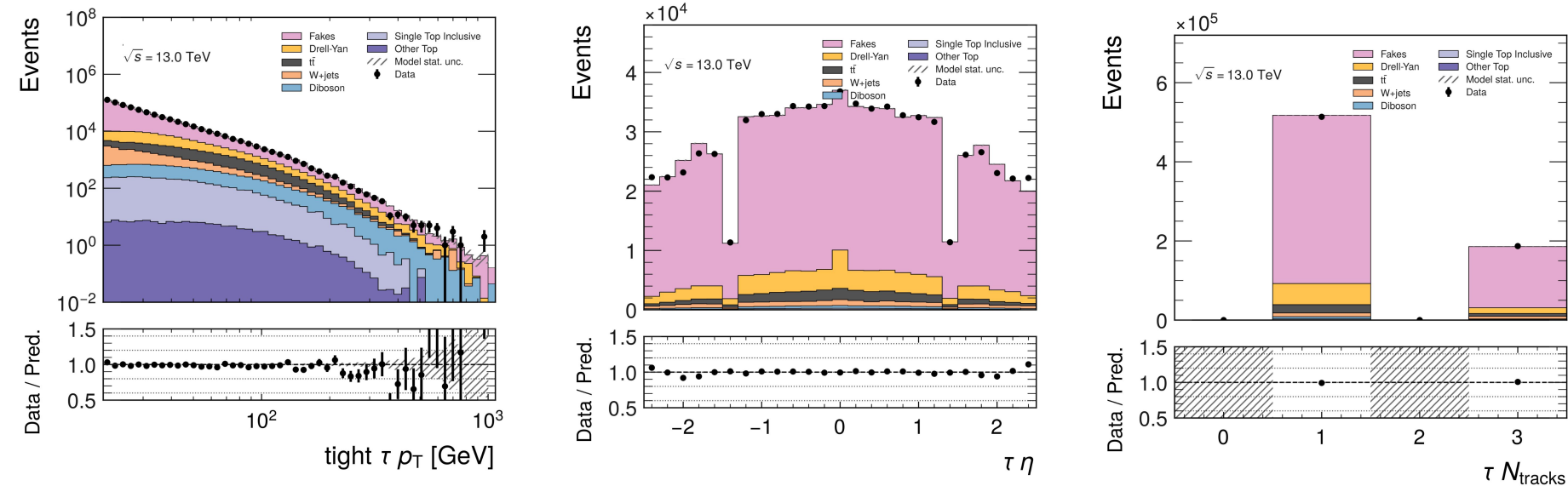
Work in progress!



Work in progress!

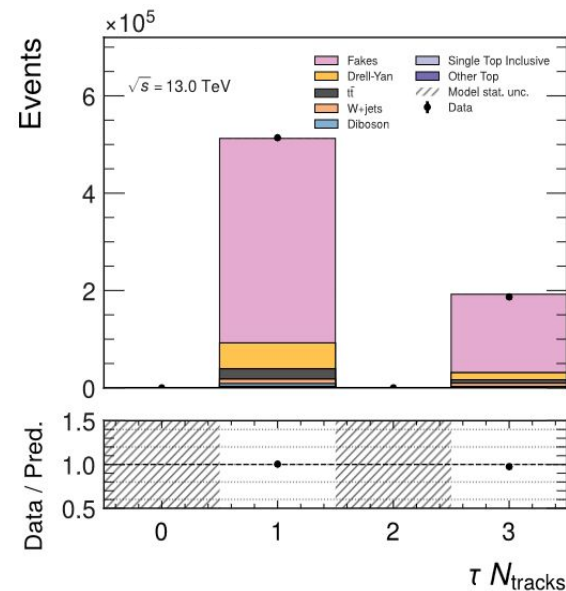
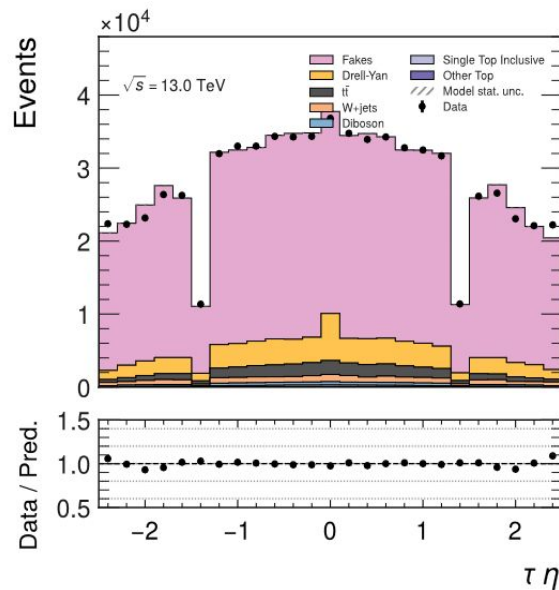
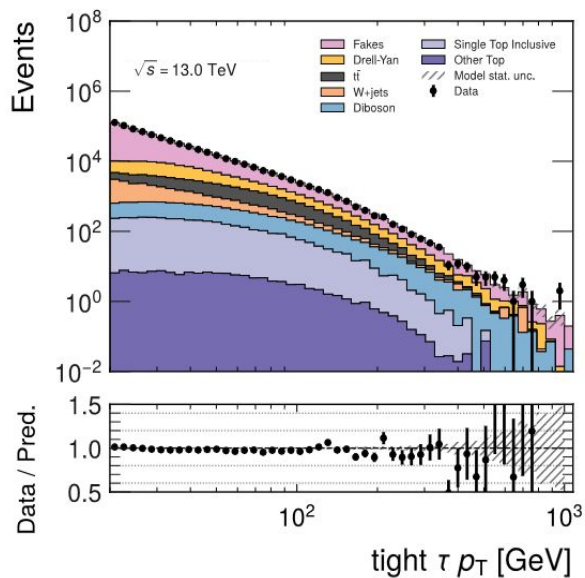


Work in progress!



- Fake factors applied back to the anti-ID sample of the same region (prediction)

Work in progress!



- Fake factors applied back to the anti-ID sample of the same region (prediction)
- Prediction agrees with data, directly comparable to the binned closure shown earlier

- Fake taus cannot be taken from simulation $\rightarrow$ data-driven estimate is a must
- Binned fake factors measured in $W(\mu\nu)+\text{jets}$ CR, 1- and 3-prong, two η ranges
- Closure test passes in tau p_T , η and number of tracks
- Main limitations: CR/SR composition mismatch and coarse binning at high p_T
- Learned fake factor: unbinned, per-event, 11 variables, trained on data

Future work:

- Validate learned fake factor in type-II/III seesaw regions
- Compare binned vs. UFF vs. learned on the same regions
- Combine UFF composition handling with the continuous estimate
- Full systematics: composition, extrapolation, training variations

Backup slides

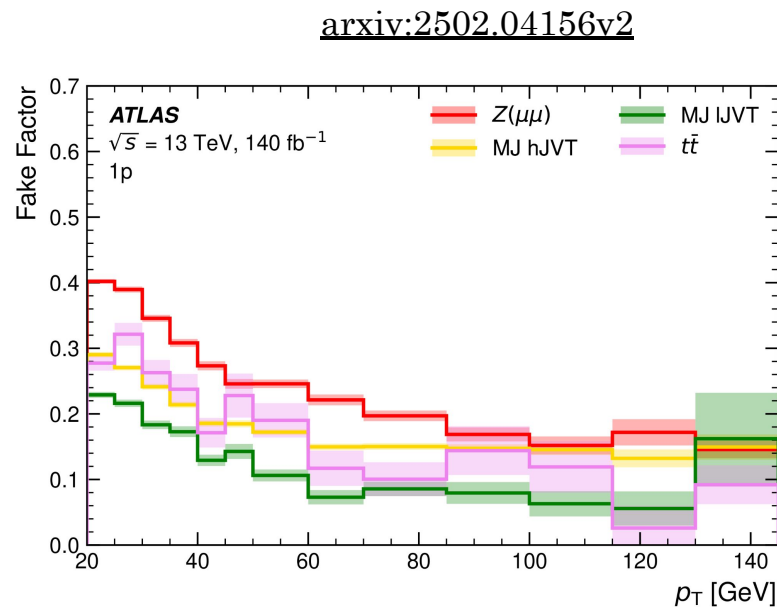
Challenges: Where exactly does it break?

1. Composition:

- The fake factor is different for each fake factor type
light quark (q), gluon (g), b and pile up (p) jets fake τ
at different rates
- We cannot measure per type fake factors directly (every
region in a phase space is a mixture)
- The “ideal” CR would have same q,g,b, p mixture as the
SR
(not an issue task to do $\rightarrow$ need for dedicated CR per
SR)
- Composition mismatch is the dominant systematics

2. Binning:

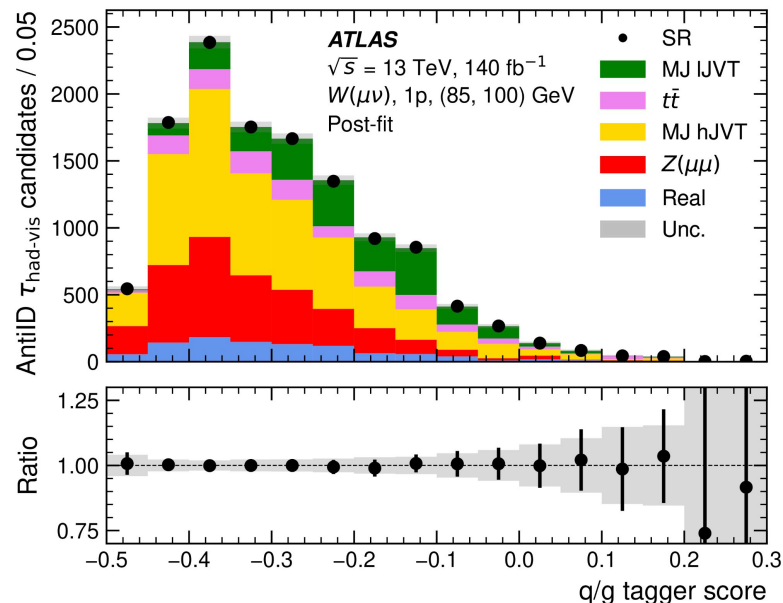
- p_T, η and prongness is 3D projection depending on $E_T^{\text{miss}}, N_{\text{jets}}$
- At high p_T the parameterization degenerates into one
wide bin

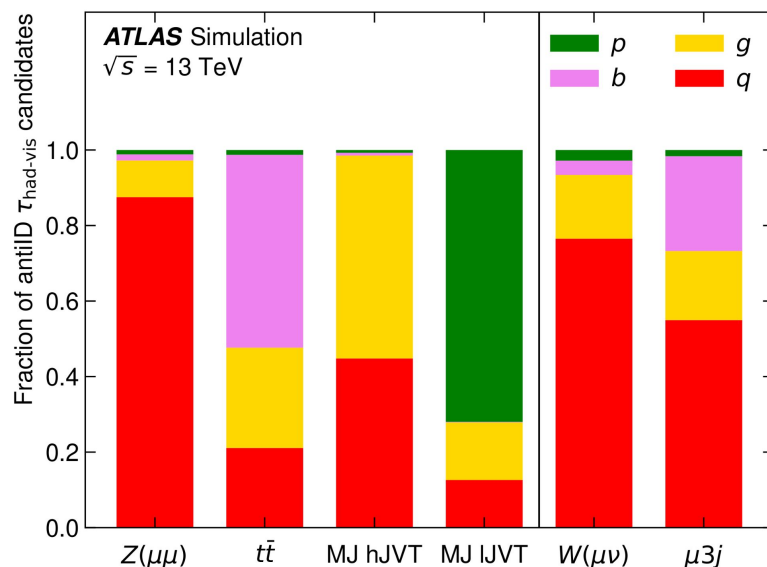


$$F_{\text{UFF}} = \underbrace{\mu_Z F_{Z(\mu\mu)}}_q + \underbrace{\mu_{t\bar{t}} F_{t\bar{t}}}_b + \underbrace{\mu_{MJ_h} F_{MJ_h}}_g + \underbrace{\mu_{MJ_l} F_{MJ_l}}_{\text{pile-up}}$$

- **Idea:** 4 predefined fake enriched regions (measured once)
- **Origin of weights:** template fit of a quark/gluon tagger score to anti-ID candidates of your signal region
- The fit determines the *composition*, and not fake factors
- An analysis provides **one histogram**: no dedicated, perfectly matched CR needed
- It solves 1. and it does not do anything with 2.

Still binned!





Data-driven estimation is more than needed!

**So, we do not want to simulate fakes “better”, we measure them.*

- Misidentification probability depends on **soft fragmentation, π^0 reconstruction and hadronic response of detector** (the least well modelled “part” of simulation)
- We need MC statistics scale as following:
 - $N_{\text{jets}} \times (\text{mis-ID rate})^{-1}$:
- As shown on the left plot, fake composition *changes* from one region to another
- The fake factor is different for **each fake factor type**
 - Light quark (q), gluon (g), b and pile up (p) jets fake τ at different rates

Method 1: Matrix Method

$$\underbrace{\begin{pmatrix} N^t \\ N^{\bar{t}} \end{pmatrix}}_{\text{counted in data}} = \underbrace{\begin{pmatrix} \varepsilon_r & \varepsilon_f \\ 1 - \varepsilon_r & 1 - \varepsilon_f \end{pmatrix}}_{\text{measured elsewhere}} \underbrace{\begin{pmatrix} N_r^b \\ N_f^b \end{pmatrix}}_{\text{unknown}}$$

$$N_f^b = \frac{(1 - \varepsilon_r) N^t - \varepsilon_r N^{\bar{t}}}{\varepsilon_f - \varepsilon_r}$$

$$N_f^t = \varepsilon_f N_f^b$$

N^t events passing the *tight* selection

$N^{\bar{t}}$ events in the *anti-tight* sample

ε_r probability that a loose *prompt* lepton also passes tight

ε_f

probability that a loose *fake* also passes tight

N_r^b

prompt events in the loose (baseline) sample

N_f^b

fake events in the loose (baseline) sample

- Needs both efficiencies: one from tag-and-probe, and another from a fake enriched CR
- Generalises to N objects at the cost of a $2^N \times 2^N$ matrix
- Two variants:
 - **Asymptotic Matrix method**
 - **Poisson likelihood Matrix Method**

In high statistics limit, all methods agree $\rightarrow$ for τ_{had} ***all uncertainties comes from fakes!***

Method 2: Fake factor method

Fake factor is **simplified matrix method** - we define loose (not tight) and tight regions that are orthogonal to each other

Define two lepton definitions:

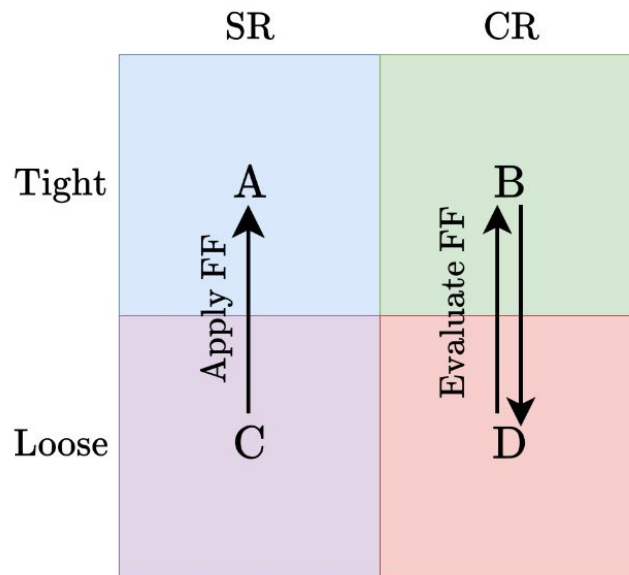
- Tight**: nominal signal selection
- Loose**: Relaxed identification, isolation cuts
- Strictly loose**: tight not loose region, used for fake Estimation

Traditionally, binned in **p_T , η** and **prongness**

Fake background estimated using the Fake factor method

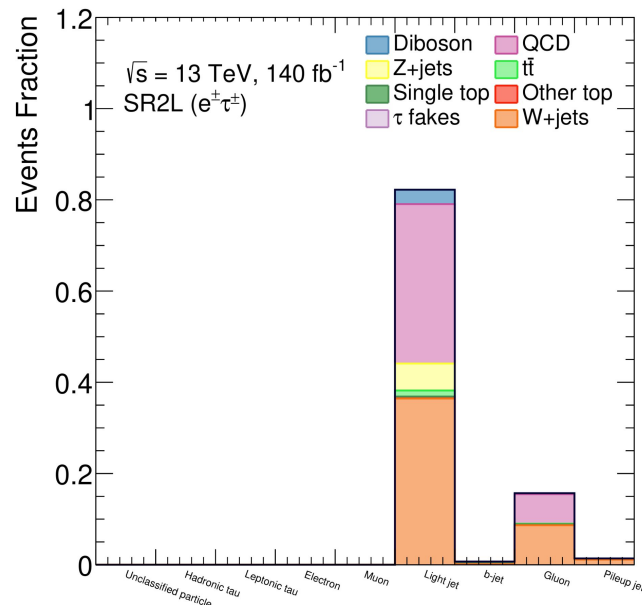
- Using single lepton regions
- Fake estimation is applied in fake enriched region

$$N^{\text{fake}} = \sum_{i=1}^{N_{\text{SB}}^{\text{data}}} (-1)^{N_{L,i}+1} \prod_{l=1}^{N_{L,i}} F_l - \sum_{i=1}^{N_{\text{SB}}^{\text{MC}}} (-1)^{N_{L,i}+1} \prod_{l=1}^{N_{L,i}} F_l$$
$$\stackrel{l=2}{=} \left[\sum_{TL} F_2 + \sum_{LT} F_1 - \sum_{LL} F_1 F_2 \right]_{\text{data}} - \left[\sum_{TL} F_2 + \sum_{LT} F_1 - \sum_{LL} F_1 F_2 \right]_{\text{prompt}}$$



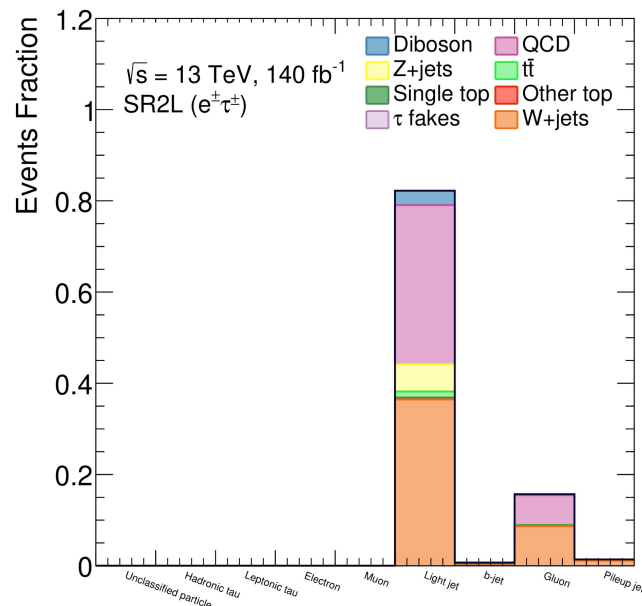
- **Reconstruction:** $\tau_{\text{had-vis}}$ are seeded by anti k_T ($R = 0.4$ jets with $p_T > 10$ GeV, $|\eta| < 2.5$ with 1 or 3 associated tracks with $|q| = 1$)
- **Identification:** NN jets discriminant based on associated tracks and calorimeter clusters
 - RNN (for Run 2)
 - GNTau (for Run 3)
 - With loose, medium and tight working point
- **Truth definition:** reconstructed candidate is
 - *real* if it is matched within $\Delta R < 0.2$ to hadronic τ
 - *fake* if it fails
- Usually, we apply e (μ) veto to remove lepton $\rightarrow \tau$ candidates
 $\rightarrow$ in practice, we consider *fake* $\equiv$ *jet* $\rightarrow \tau_{\text{had-vis}}$
- Also, we can distinguish fakes into 4 different categories based on truth flavor:
 - **light quark (q)**
 - **gluon (g)**
 - **b**
 - **pile-up (p)**

Work in progress!



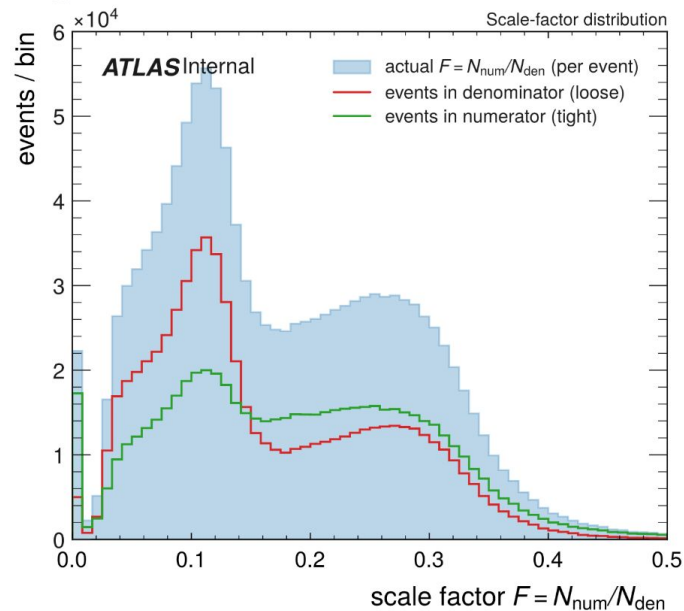
- **Prong** = a charged track from the τ decay. Hadronic τ decays come in two flavours:
 - **1-prong**: one charged hadron ($\pi^\pm$ or $K^\pm$), possibly with neutral pions, plus the neutrino. Example $\tau^- \rightarrow \pi^- \nu$, $\tau^- \rightarrow \pi^- \pi^0 \nu$. About 3 out of 4 hadronic τ decays.
 - **3-prong**: three charged hadrons, possibly with neutral pions, plus the neutrino. Example $\tau^- \rightarrow \pi^- \pi^+ \pi^- \nu$. About 1 in 4 hadronic τ decays
- In both cases the tracks are collimated in a narrow cone and the total charge is ± 1 , which is why the reconstruction asks for exactly 1 or 3 tracks with $|q| = 1$.

Work in progress!



Application to fake taus in the W+jets region

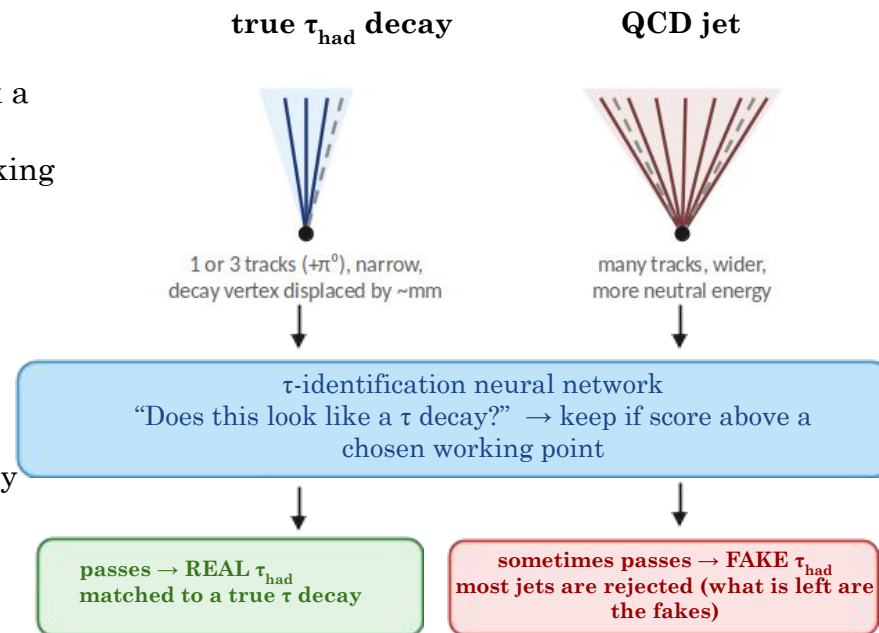
- Trained on the **same events** as the binned measurement: the OS $W(\mu\nu)$ +jets region (data + MC).
- **11 input features:**
 - τ : p_T , $|\eta|$, ϕ , prongness,
 - event: N_{jets} , E_T^{miss} , ϕ^{miss} , E_T^{miss} significance,
 - leading jet: p_T , η , ϕ .
- Output: a **continuous fake factor per event**.
- The 1-prong ($F \approx 0.25$) and 3-prong ($F \approx 0.10$) fake factors appear automatically, each spread by the kinematic dependence.



distribution of per-event fake factors in the W+jets region

What is a “fake τ ”? — a jet that the τ identification chooses

- **A τ_{had} candidate starts as a jet**
 - Take a narrow jet with 1 or 3 charged tracks and ask a neural network: does this look like a τ decay or like a QCD jet? Candidates above a chosen threshold (“working point”) are our τ_{had}
- **Real vs fake (in simulation):** real if it matches a true hadronic τ decay, fake otherwise
- **In this talk, fake = jet $\rightarrow \tau_{\text{had}}$**
 - Electrons and muons can also fake a τ , but they are removed by dedicated vetoes and estimated separately
- **Not all jets fake equally**
 - Quark, gluon, b and pile-up jets have different track multiplicities and shapes, so their fake rates differ (this is what makes fake estimation hard)



How big is it? In a typical signal region $\sim 80\%$ of τ_{had} candidates are jets $\rightarrow$ mostly light-quark jets from W +jets and QCD

Poisson bootstrap for uncertainties

- Statistical uncertainty on $F(\mathbf{x})$ is estimated with a Poisson bootstrap vectorized inside the model.
- Each event weight i receives, in each of K channels a multiplier:

$$\mathbf{v}_i^{(k)} \sim \text{Poisson}(1) \quad \text{for } k = 1, 2, \dots, K-1 \quad \text{and} \quad \mathbf{v}_i^{(0)} = 1. \quad (1)$$

- This is computed deterministically by hashing the event number together with k , so the same event always receives the same multipliers.
- Channel 0 is the nominal fit, channels $1, 2, \dots, K-1$ are trained on resamples of the full (data + MC) samples.
- A network has K heads (one ensemble member per channel), evaluated in a single vectorized forward pass.
- Every loss term is a $\mathbf{v}^{(k)}$ weighted mean (the K channels are K independent estimators trained simultaneously).
- The uncertainty band is the 16th/84th percentiles of channels $1, 2, \dots, K-1$.