

Search for resonant pair production of scalar particles with ATLAS Run 2 and Run 3 data

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Probing the Higgs sector beyond the Standard Model

- Beyond the Standard Model (BSM) physics is needed to explain e.g. baryogenesis, neutrino masses and dark matter.
- Is the “SM Higgs” in fact part of something larger that we have not yet discovered?
- Many BSM models that include an **extended Higgs sector** predict additional new heavy scalars, X and S , **enabling decays of scalars to scalars, like $X \rightarrow HH$ or $X \rightarrow SH$** .
 - Examples include the Two-Higgs-Doublet Model (2HDM), the Next-to-Minimal Supersymmetric Standard Model (NMSSM), the Complex 2HDM (C2HDM), and the Two-Real-Scalar Model (TRSM).

three generations of matter (fermions)						interactions / forces (bosons)	
I		II		III			
mass charge spin	$\approx 2.16 \text{ MeV}$ $+2/3$ $1/2$ u up	$\approx 1.27 \text{ GeV}$ $+2/3$ $1/2$ c charm	$\approx 173 \text{ GeV}$ $+2/3$ $1/2$ t top			0 0 1 g gluon	$\approx 125 \text{ GeV}$ 0 0 H Higgs
QUARKS	$\approx 4.7 \text{ MeV}$ $-1/3$ $1/2$ d down	$\approx 94 \text{ MeV}$ $-1/3$ $1/2$ s strange	$\approx 4.18 \text{ GeV}$ $-1/3$ $1/2$ b bottom			0 0 1 γ photon	
	$\approx 0.511 \text{ MeV}$ -1 $1/2$ e electron	$\approx 106 \text{ MeV}$ -1 $1/2$ μ muon	$\approx 1.78 \text{ GeV}$ -1 $1/2$ τ tau			$\approx 80.4 \text{ GeV}$ ± 1 1 W W boson	
	$< 0.8 \text{ eV}$ 0 $1/2$ ν_e electron neutrino	$< 0.17 \text{ MeV}$ 0 $1/2$ ν_μ muon neutrino	$< 18.2 \text{ MeV}$ 0 $1/2$ ν_τ tau neutrino			$\approx 91.2 \text{ GeV}$ 0 1 Z Z boson	
LEPTONS						GAUGE BOSONS VECTOR BOSONS	
						SCALAR BOSONS	

The elementary particles of the SM.

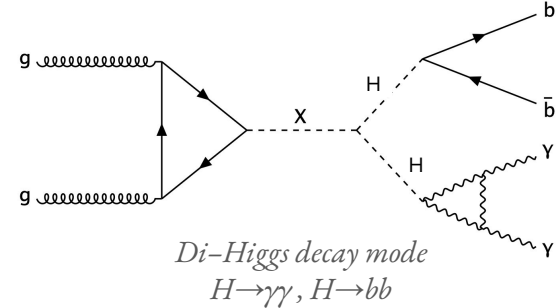
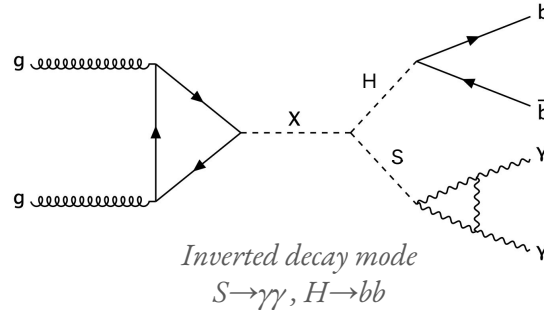
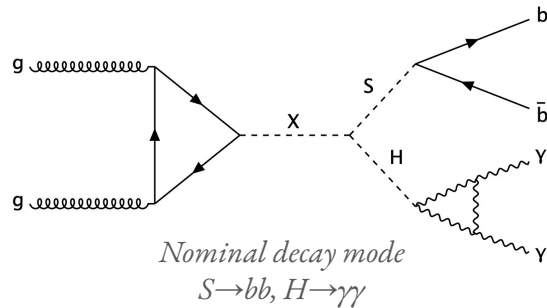
Image: [Wikipedia](#).

What are X and S?

- Two scalar particles that would extend the Higgs sector of the SM.
- We do not know anything about them, but we assume here that $m_X > m_S + m_H$, where m_H is the mass of the Higgs boson — this way **$X \rightarrow SH$ is kinematically allowed**.
- We introduce a simplified model with $X \rightarrow SH$ where m_S and m_X are allowed to vary. By including the scenario where $m_S = m_H$, we can also cover the scenario $X \rightarrow HH$.
- The decay modes of H assumed to be those of the SM Higgs boson.

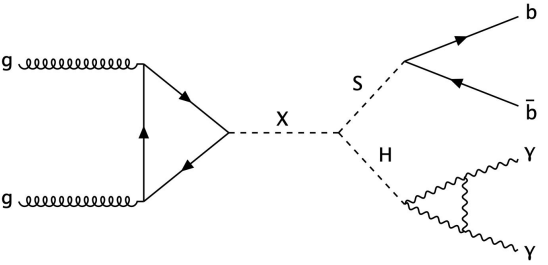
The $bb\gamma\gamma$ experimental final states

- The decay modes of S are model-dependent, and for this reason ATLAS and CMS explore various final states. Here, we focus on $bb\gamma\gamma$ final states.
- Two $bb\gamma\gamma$ final state has a relatively low SM background and in both scenarios we expect a narrow peak in the di-photon mass spectrum.
- We expect three peaks: in the $m_{\gamma\gamma}$ spectrum, in the m_{bb} spectrum, and in the $m_{bb\gamma\gamma}$ spectrum (corresponding to m_X).

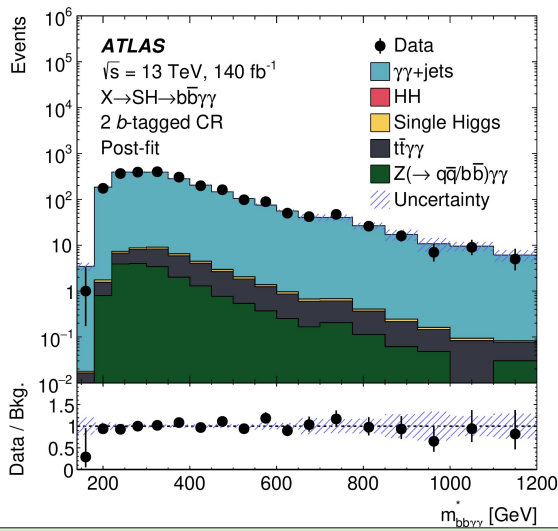
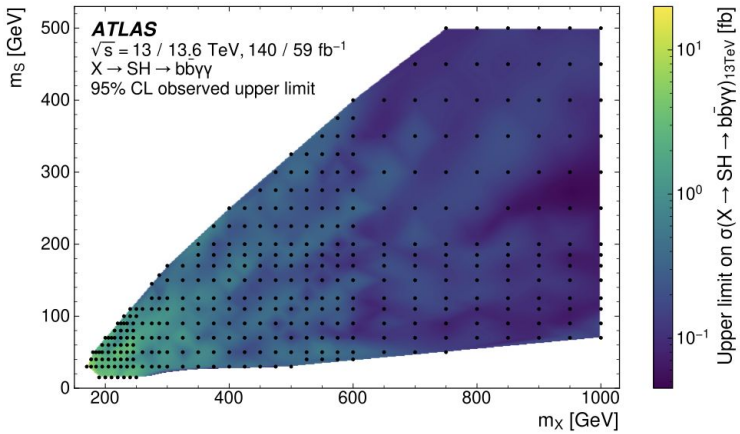


Current research status – ATLAS search from 2025

- We performed a search for the nominal decay mode; $X \rightarrow S(bb)H(\gamma\gamma)$, using **Run 2 + partial Run 3** data.
- Expected and observed 95% CL upper limits on cross section $\times$ branching ratio.
- No significant deviation from the SM expectation was observed.
- Introduced a parametrized neural network (PNN) in this analysis.

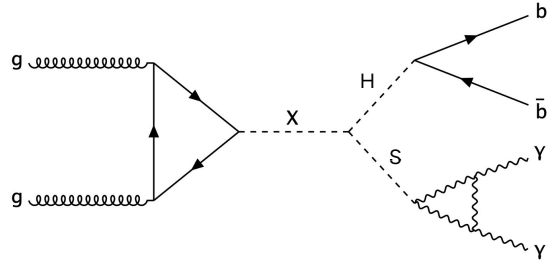


Plots from: [arXiv 2510.02857](https://arxiv.org/abs/2510.02857)

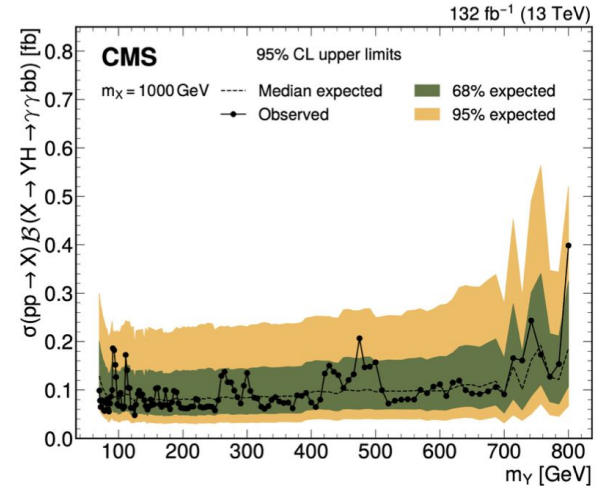
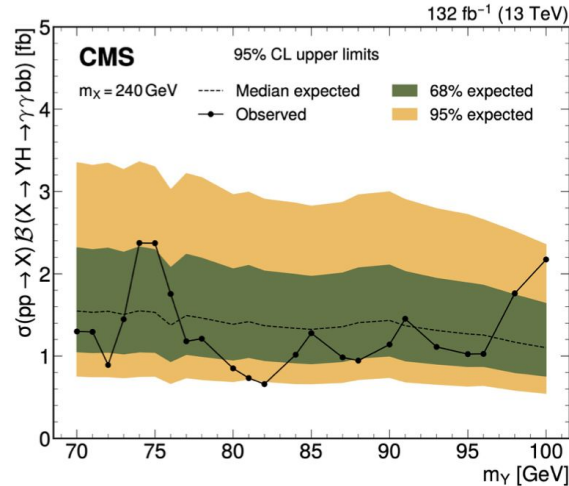


Current research status – CMS search from 2025

- CMS performed a search for the inverted decay mode; $X \rightarrow S(\gamma\gamma)H(bb)$, using **Run 2** data.
- Plots show expected and observed 95% CL upper limits on cross section $\times$ branching ratio for two m_X mass points.
- Slight excess for $(m_X, m_S)=(300 \text{ GeV}, 77 \text{ GeV})$



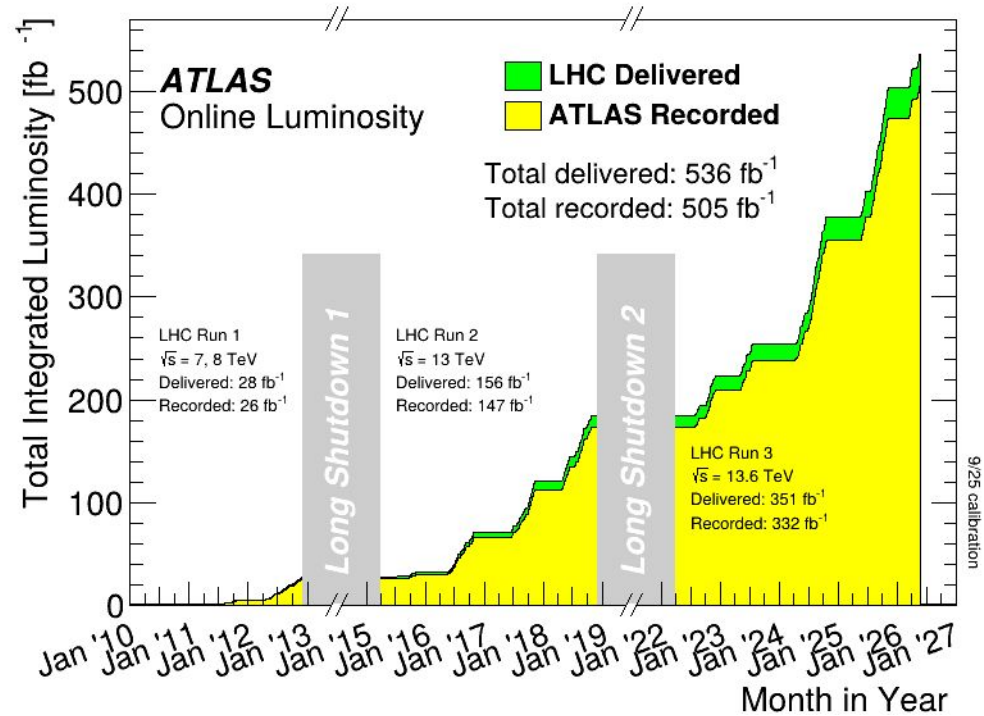
Plots from [arXiv 2508.11494](https://arxiv.org/abs/2508.11494)



New ATLAS full Run 2 + full Run 3 analysis

Run 3 just finished – we have access to more data than ever before; more than $2\times$ **the data** from the previous analysis, and more than $3\times$ **the data** from the CMS analysis.

The analysis studying the inverted decay mode, $X \rightarrow S(\gamma\gamma)H(bb)$, is in construction by ATLAS, as well as $X \rightarrow H(\gamma\gamma)H(bb)$.

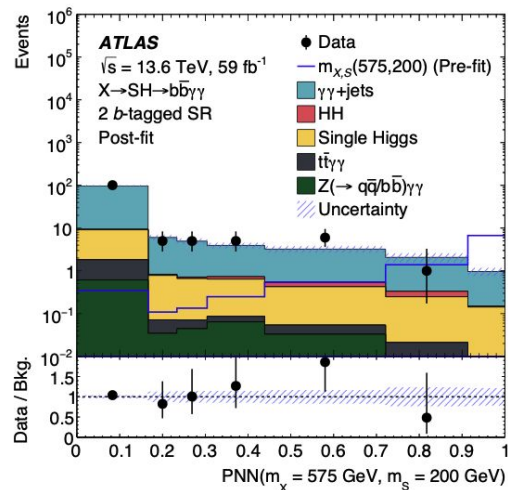


Plot showing the total integrated luminosity of LHC over time.
Image: [ATLAS Collaboration/CERN](#).

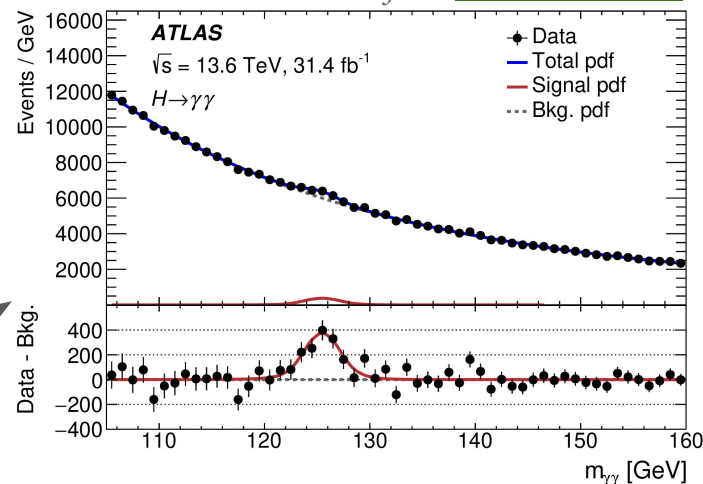
Analysis strategies for the full Run 2 + full Run 3

Plot from: [arXiv 2306.11379](https://arxiv.org/abs/2306.11379)

Option 1: Use $m_{\gamma\gamma}$ as final discriminant. Same approach as in $H \rightarrow \gamma\gamma$. Relies on the ability to find analytical shape for $m_{\gamma\gamma}$ in the backgrounds.



Plot from: [arXiv 2510.02857](https://arxiv.org/abs/2510.02857)



Option 2: Neural network (NN) approach. PNN assigns each event a signal-likeness score. Signal events cluster around score 1, background falls smoothly, so we fit the shape of this score distribution directly to test the signal hypothesis.

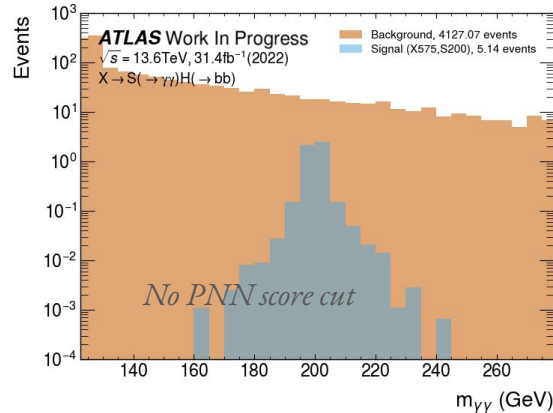
Testing Option 1 (traditional method) in $X \rightarrow S(\gamma\gamma)H(bb)$

- Preselection (two photons, two b-jets)
- Apply cut on mass-point aware NN to maximally exploit all kinematic information, a so called parametrized neural network (PNN).
- Use $m_{\gamma\gamma}$ as final discriminant to test signal hypothesis.

80+ variables in different categories.

Evaluate the viability to apply the traditional method by looking at the $m_{\gamma\gamma}$ spectrum after cutting on the PNN.

Working on finding the *sweet spot*;
how many training variables, and which, are optimal?



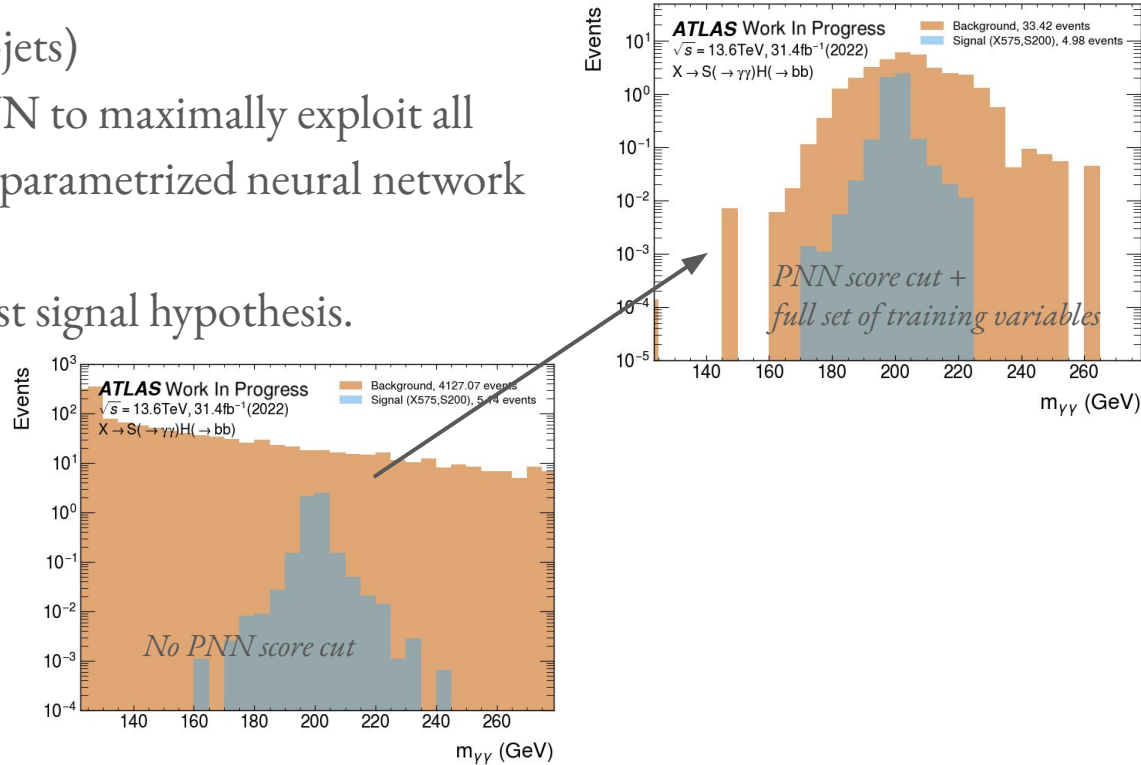
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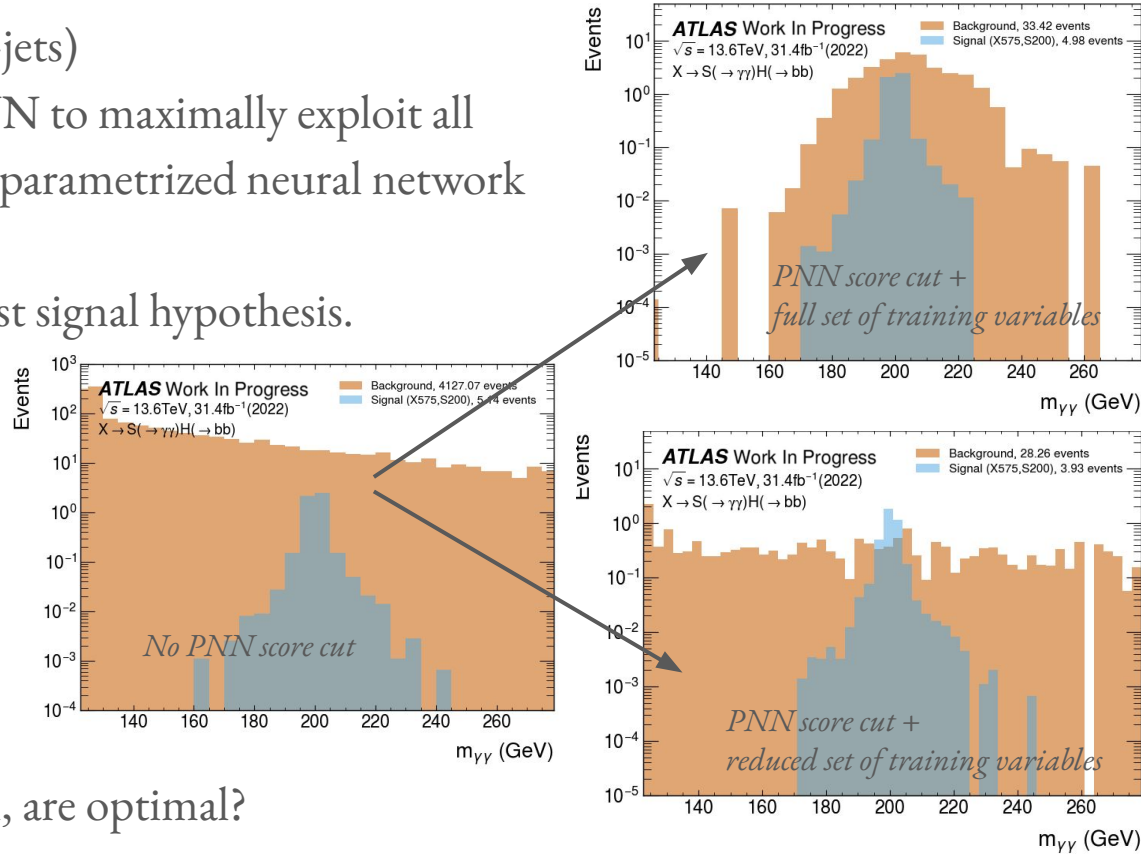
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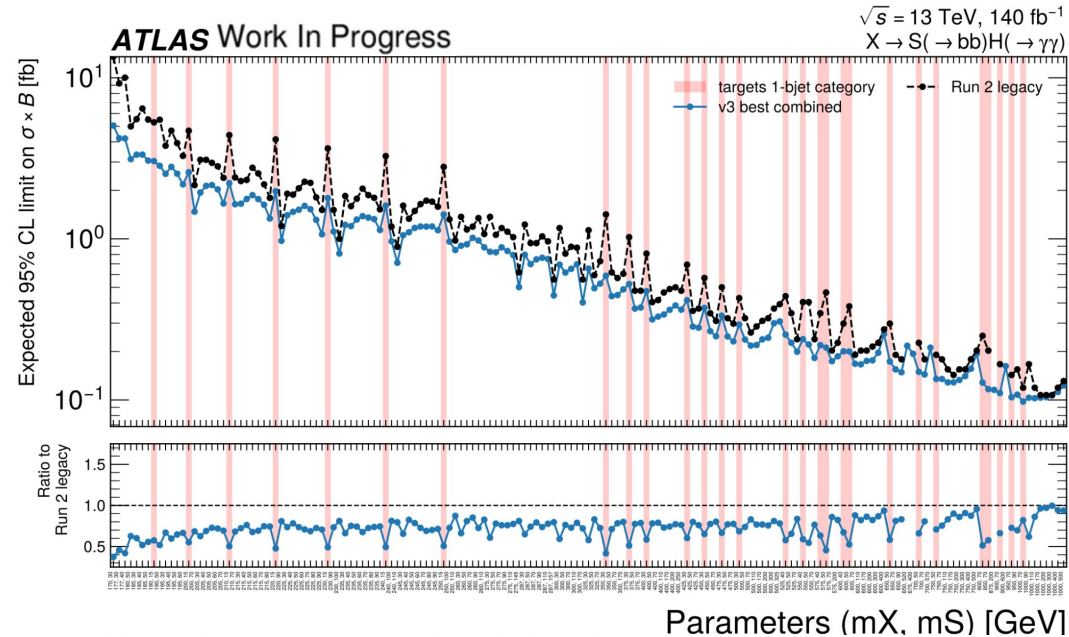
Evaluate the viability to apply the traditional method by looking at the $m_{\gamma\gamma}$ spectrum after cutting on the PNN.

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how many training variables, and which, are optimal?



Testing Option 2 (NN approach) in $X \rightarrow S(bb)H(\gamma\gamma)$

- Preselection (two photons, two b jets)
- Use PNN score as final discriminant to test signal hypothesis.
- Can potentially make use of all kinematic information.
- Identified set of variables that optimizes the limits on cross section $\times$ branching ratio.
- Up to 60% better than legacy limits with Run 2 results.



Conclusions and outlook

- We recently performed search using Run 2 and partial Run 3 data – $X \rightarrow S(bb)H(\gamma\gamma)$.
- Now expanding by studying $S(\gamma\gamma)H(bb)$, $S(bb)H(\gamma\gamma)$ and $H(bb)H(\gamma\gamma)$ channels, using **full Run 2 and full Run 3** data.
- Studying which set of PNN training variables optimise the results.
- What is next?
 - Decide which final discriminant to use; either $m_{\gamma\gamma}$ or the PNN score (Option 1 or Option 2).
 - Compare our current limits (obtained in the nominal channel) with the unbinned fit limits and see which strategy is the best.

Thank you for listening!

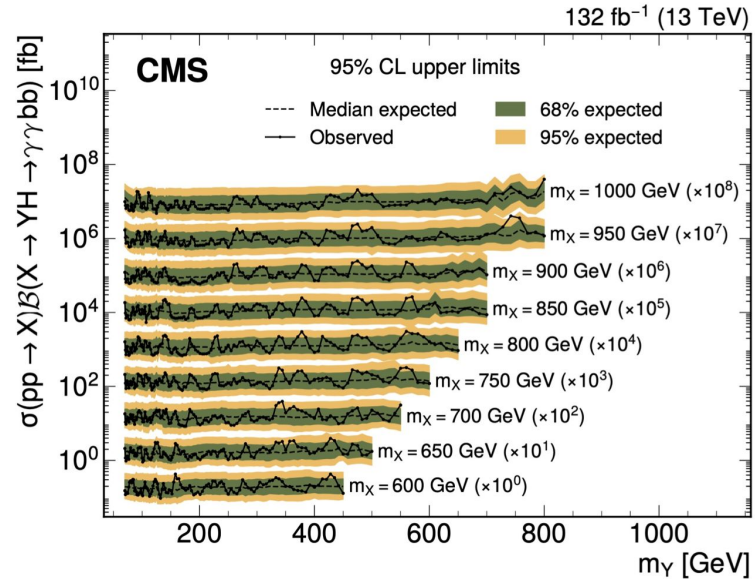
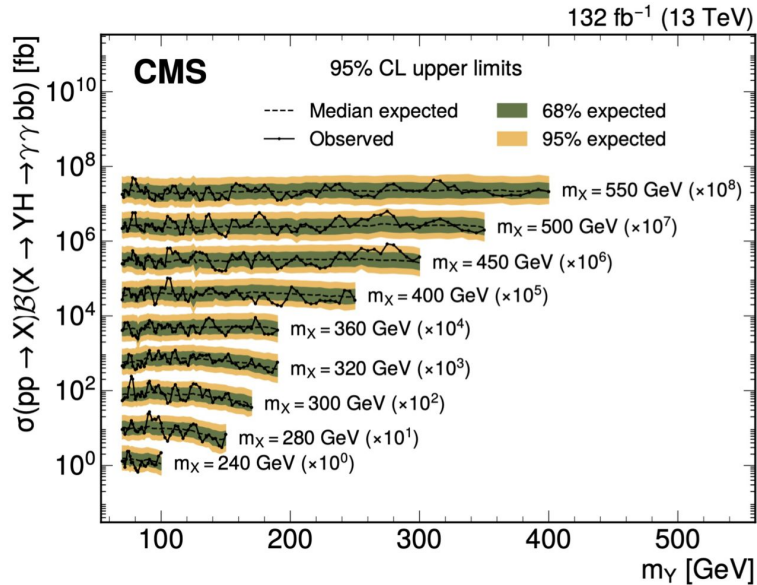
Acknowledgements to the SU and KTH teams:

David Brunner, Christophe Clément, Andrea Visibile,
Christina Dimitriadi, Jonas Strandberg, Magdalena Vande Voorde



Backup slides

$X \rightarrow S(\gamma\gamma)H(bb)$: previous results by CMS (arXiv 2508.11494)



PNN variables — full set

Variables in **boldface** used by
CMS in [their PNN training](#)

Mass variables

mbb, **mb1**, myy, mbbyy, mbbyy_mod_inverted

b-jet kinematics

HbbCandidate_Jet1_pt, px_b1, px_b2, py_b1, py_b2, pz_b1, pz_b2,
HbbCandidate_Jet1_E, HbbCandidate_Jet2_E, HbbCandidate_Jet2_pt,
eta_b1, eta_b2, phi_b1, phi_b2, HbbCandidate_Jet1_eta,
HbbCandidate_Jet2_eta

bb system

pT_bb, **dR_bb**, px_bb, py_bb, pz_bb, E_bb, cos_dPhi_bb, eta_bb,
phi_bb

Candidates for removal

mb1, mbbyy (keep mbbyy_mod_inverted), redundant variables

Photon kinematics

Photon1_ptOvermyy, **Photon2_ptOvermyy**, px_y1, px_y2, py_y1,
py_y2, pz_y1, Photon1_E, Photon1_pt, Photon2_E, Photon2_pt, eta_y1,
Photon2_eta, Photon1_phi, Photon2_phi

yy system

pT_yy_over_myy, **dR_yy**, **delta_eta_yy**, px_yy, py_yy, pT_yy, pz_yy,
E_yy, cos_dPhi_yy, eta_yy, phi_yy

bbyy system

dR_y1b1, **dR_y1b2**, **dR_y2b1**, **dR_y2b2**, **dR_y1bb**, **dR_y2bb**,
dR_yyb1, **dR_yyb2**, **dR_bbyy**, **delta_eta_yybb**, **delta_eta_yyb1**,
delta_eta_y1b2, **delta_phi_yybb**, **delta_phi_yyb1**, **delta_phi_yyb2**,
cos_dPhi_bbyy, cos_dPhi_bbyy_bb, cos_dPhi_bbyy_yy, E_bbyy,
px_bbyy, py_bbyy, pz_bbyy, pT_bbyy, phi_bbyy, dR_bbyy_bb,
dR_bbyy_yy, eta_bbyy

Note: all variables with dimension were scaled to TeV scale to facilitate better
PNN training.