

# IGFAE – Retreat

**Session: Introduction by IGFAE newcomers**

**Luca Buoninfante**

IGFAE/USC – Research Programme:  
*String Theory and Related Fields*

**June 22, 2026**

 INSTITUTO GALEGO  
DE FÍSICA  
DE ALTAS ENERXÍAS

  
UNIVERSIDADE  
DE SANTIAGO  
DE COMPOSTELA

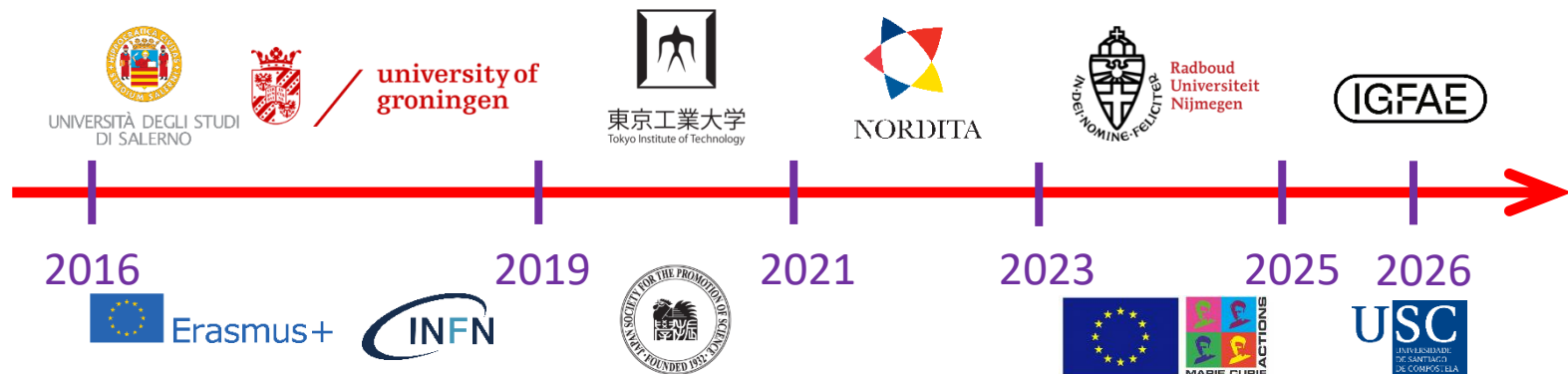
# Outline of the Presentation

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1. Scientific career so far
2. Research I intend to carry out at IGFAE

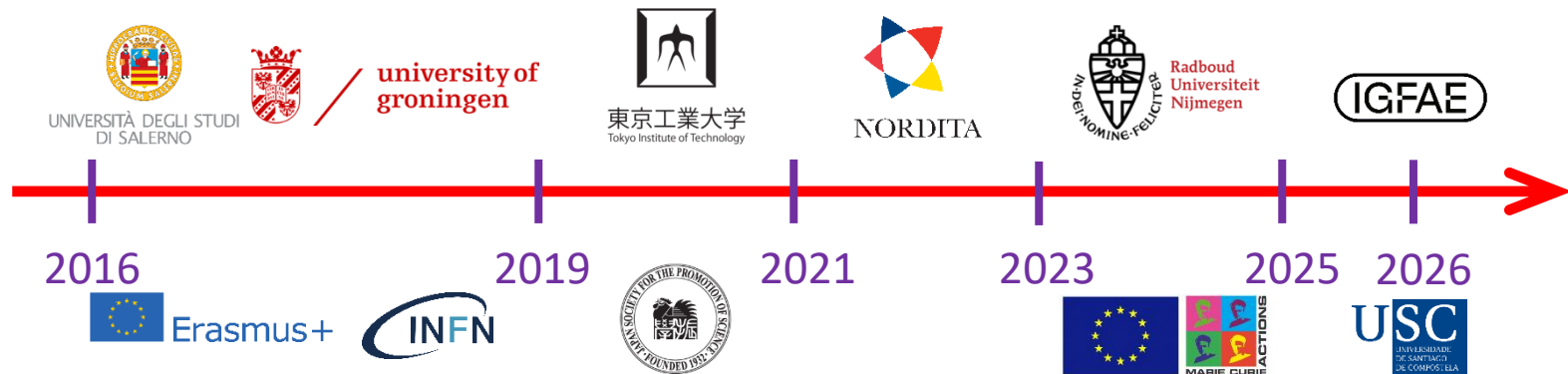
# Academic Path So Far

- 2016–2019: *Double PhD*, Salerno U. (Italy) & Groningen U. (Netherlands)
- 2019–2021: *JSPS Postdoctoral Fellow*, Tokyo Institute of Technology (Japan)
- 2021–2023: *Postdoctoral Fellow*, NORDITA (Sweden)
- 2023–2025: *Marie Curie Fellow*, Radboud U. Nijmegen (Netherlands)
- 2025–present: *Junior Fellow*, IGFAE/USC (Spain)



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## Primary Research Interests:

QFT of gravity, quantum gravity, quadratic gravity, higher-derivative field theories (theory and phenomenology)

# Research Activity

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Quantum Field Theory of the Gravitational Interaction

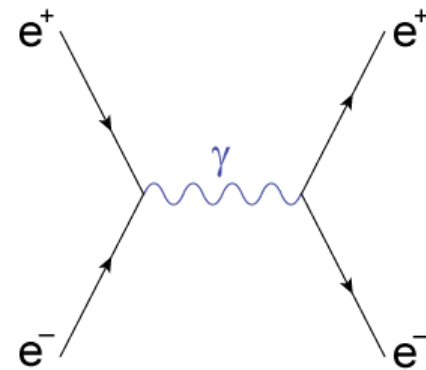
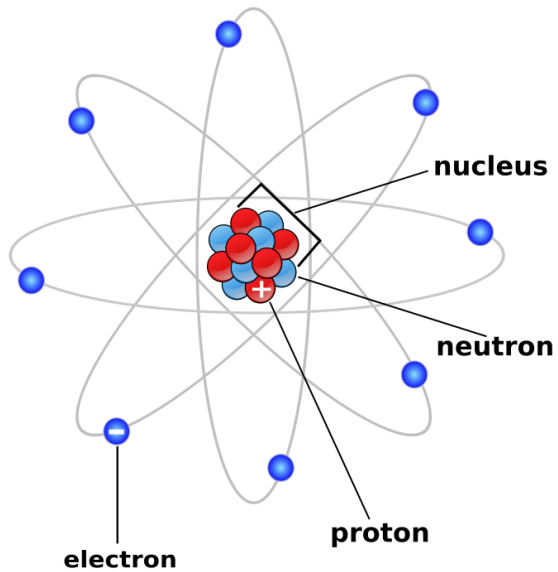
# Research Activity

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Quantum Gravity as a Quantum Field Theory

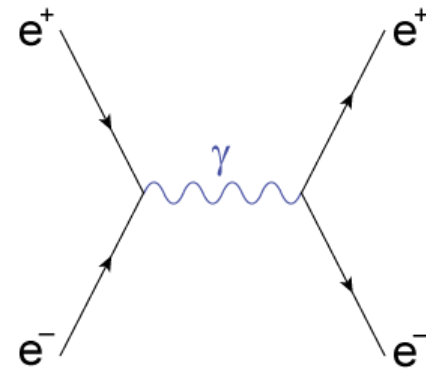
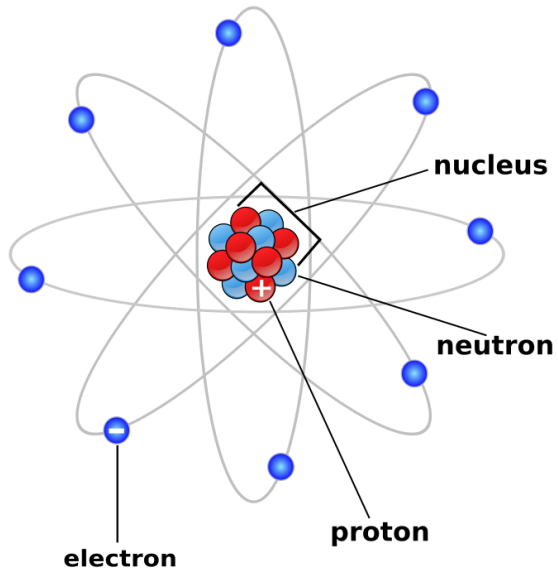
# Research Activity

## Quantum Physics:



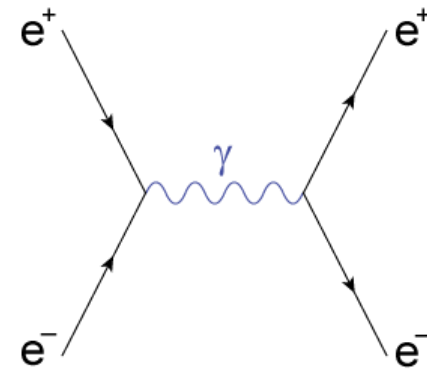
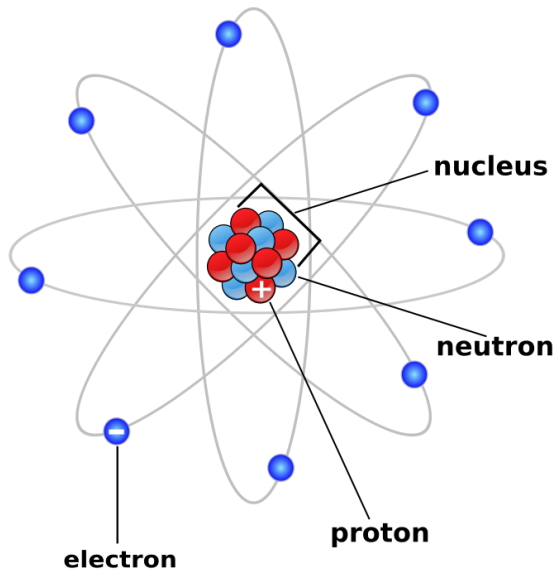
# Research Activity

## Quantum Physics: Quantum Field Theory (QFT)



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Nature is probabilistic at the fundamental (microscopic) level

# Research Activity

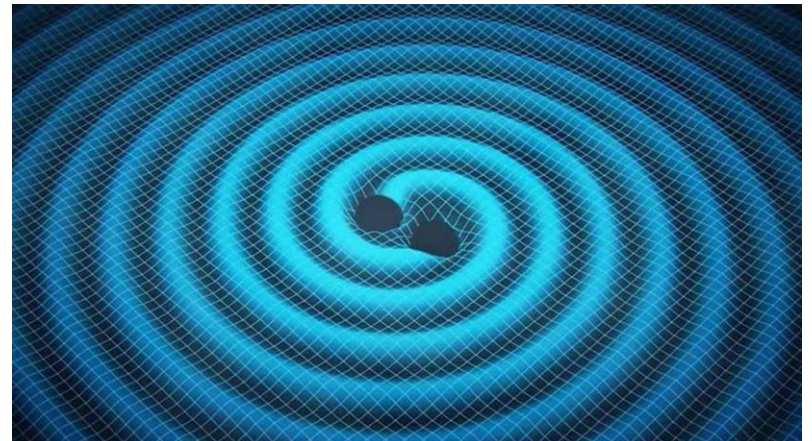
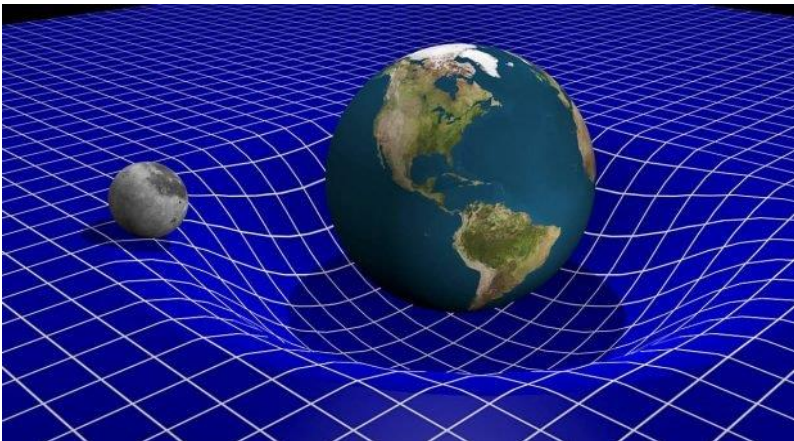
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Gravitational Physics:

# Research Activity

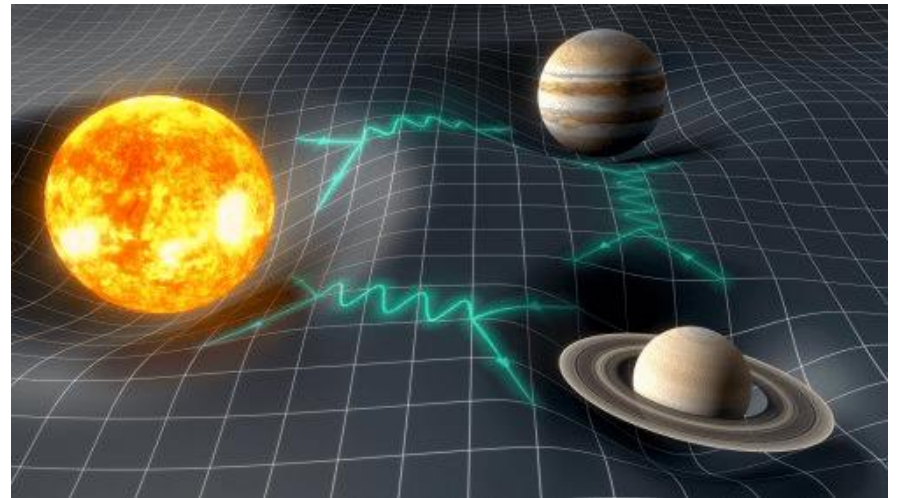
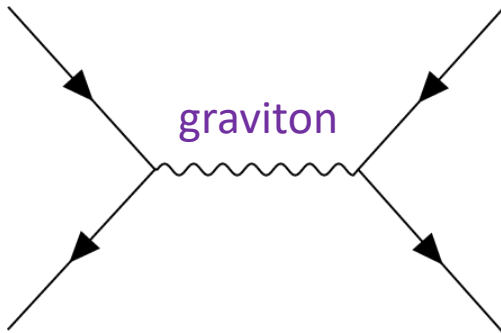
## Gravitational Physics: General Relativity (GR)

$$\underbrace{R_{\mu\nu} - \frac{1}{2} g_{\mu\nu} R}_{\text{Spacetime curvature}} = \frac{8\pi G}{c^4} \underbrace{T_{\mu\nu}}_{\text{matter}}$$



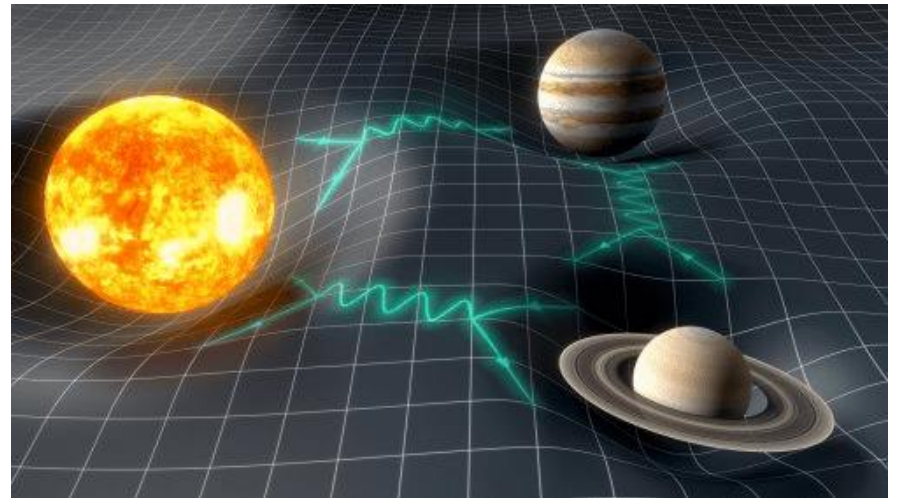
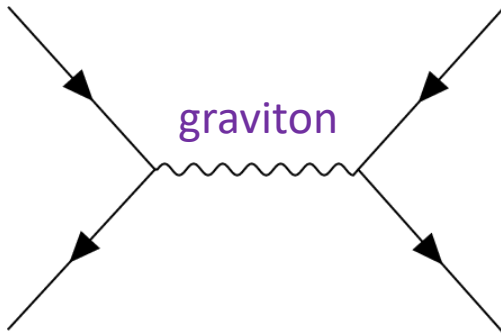
# Research Activity

QFT + GR



# Research Activity

QFT + GR are not fully compatible at high energies:  
non-renormalizability! unbounded probabilities!



# Research Activity

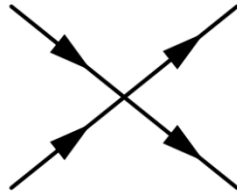
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Analogy with the Standard Model of Particle Physics:

# Research Activity

Analogy with the Standard Model of Particle Physics:

- Fermi theory of weak interaction is not renormalizable

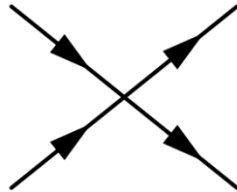


fermions

# Research Activity

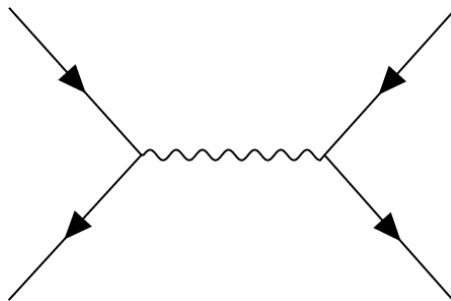
## Analogy with the Standard Model of Particle Physics:

- Fermi theory of weak interaction is not renormalizable



fermions

- Renormalizable completion: Electroweak theory



fermions + vector bosons + Higgs

# Research Activity

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All QFTs in the Standard Model are renormalizable

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Is there a renormalizable QFT of gravity?

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Is there a renormalizable QFT of gravity? **YES!**

**Quadratic gravity:**

$$R_{\mu\nu} - \frac{1}{2}g_{\mu\nu}R + (\text{quadratic curvature modification}) = \frac{8\pi G}{c^4}T_{\mu\nu}$$

$\downarrow$

$$R^2, \quad R_{\mu\nu}R^{\mu\nu}, \quad R_{\mu\nu\rho\sigma}R^{\mu\nu\rho\sigma}, \quad \partial^2 R_{\dots}, \dots$$

# Research Activity

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Is there a renormalizable QFT of gravity? **YES!**

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**$\Rightarrow$  fourth-order field equations!**

# Research Activity

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Analogy in classical mechanics:

$$m \ddot{x}(t) = \mathcal{F}(x, \dot{x}, t) \quad \rightarrow \quad \mu \frac{d^{(4)}x(t)}{dt^4} = \mathcal{F}(x, \dot{x}, \ddot{x}, \ddot{\ddot{x}}, t)$$

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Implications of higher-order derivatives:

- Additional gravitational degrees of freedom  
(massless graviton + massive spin-zero + massive “ghost-like” spin-two)
- New quantum dynamics
- New testable physics (e.g. early-universe cosmology)
- Quantum-gravitational effects in the sub-Planckian regime

# Research Activity

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## Main research objectives:

- Analyze formal aspects of four-derivative QFTs (unitarity, causality, high-energy behavior)
- Elucidate the nature of ghosts as new types of quantum objects
- Challenge quadratic gravity (theoretically and observationally!)
- Make new testable quantum-gravitational predictions

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**Grazas pola sua atención**