

A Thermodynamic Positivity Bound on Higher-Derivative 3-Form Couplings in de Sitter, and its Inflationary Consequences

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Superradiant Instability of Dark Photon Bound States in Rotating Stars

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The de Sitter black hole from a 3-form

01 HIGHER-DERIVATIVE ACTION

$$S = \int d^4x \sqrt{-g} \left(\frac{R}{2\kappa^2} - \frac{1}{48g_3^2} F_{\mu\nu\sigma\rho} F^{\mu\nu\sigma\rho} + c_1 R^2 + c_2 R_{\mu\nu} R^{\mu\nu} + c_3 R_{\mu\nu\sigma\rho} R^{\mu\nu\sigma\rho} \right. \\ \left. + c_4 R F_{\mu\nu\sigma\rho} F^{\mu\nu\sigma\rho} + c_5 R^{\mu\nu} F_{\mu}^{\sigma\rho\delta} F_{\nu\sigma\rho\delta} + c_6 R^{\mu\nu\sigma\rho} F_{\mu\nu}^{\lambda\delta} F_{\sigma\rho\lambda\delta} \right. \\ \left. + c_7 (F_{\mu\nu\sigma\rho} F^{\mu\nu\sigma\rho})^2 + c_8 \nabla_{\alpha} F_{\mu\nu\sigma\rho} \nabla^{\alpha} F^{\mu\nu\sigma\rho} \right),$$

02 CORRECTED BLACK-HOLE GEOMETRY

$$\tilde{f}(r) = f(r) + f_1(r) + f_2(r) \\ = 1 - \frac{\kappa^2 M}{r} - \frac{r^2}{\ell^2} - \frac{24g_3^2}{\ell^4 \kappa^2} \left(\frac{r_b^3 - r^3}{r} \right) \left(288c_7 g_3^2 - (12c_4 + 3c_5 + 2c_6) \kappa^2 \right) \\ + \frac{144c_6 \kappa^2 M}{\ell^2 r} \ln \left(\frac{r_b}{r} \right).$$

— Solve perturbatively in the higher-derivative coefficients c_i around Schwarzschild-de Sitter.

Entropy positivity bounds the EFT couplings

01 WALD ENTROPY CORRECTION

$$\Delta S = S \left[\frac{8c_3\kappa^2}{\ell^2} \left(\frac{3-\eta}{1-\eta} \right) + \frac{12\kappa^2}{\ell^2} (4c_1 + c_2) + \frac{48g_3^2}{\kappa^2\ell^2} (144c_7g_3^2 - (12c_4 + 3c_5 + 2c_6)\kappa^2) + 96c_6g_3^2 \frac{\ln(1-\eta)}{\ell^2\eta} \right].$$

$$\Delta S > 0$$

THERMODYNAMIC
CONSISTENCY

$$\rightarrow 2c_3\kappa^2 + \kappa^2(4c_1 + c_2) + \frac{4g_3^2}{\kappa^2} (144c_7g_3^2 - (12c_4 + 3c_5 + 4c_6)\kappa^2) > 0.$$

Allowed combinations of higher-derivative couplings

LINK TO COSMOLOGY

3-form / scalar duality

The same c_i enter the scalar kinetic term and effective potential.

$$\hat{S} = \int d^4x \sqrt{-\hat{g}} \left[\frac{m_P}{2} \hat{R} - \frac{\hat{g}^{\mu\nu}}{2} \left(\frac{48\lambda^2 c_8}{\Omega^2} + \frac{6\mu^2 \lambda^4 \Phi^2}{\Omega^4 m_P^2} \right) \partial_\mu \Phi \partial_\nu \Phi + \frac{1}{\Omega^4} \left(\frac{1}{2} \frac{\lambda^2}{g_3^2} \Phi^2 + 576c_7 \lambda^4 \Phi^4 \right) \right].$$

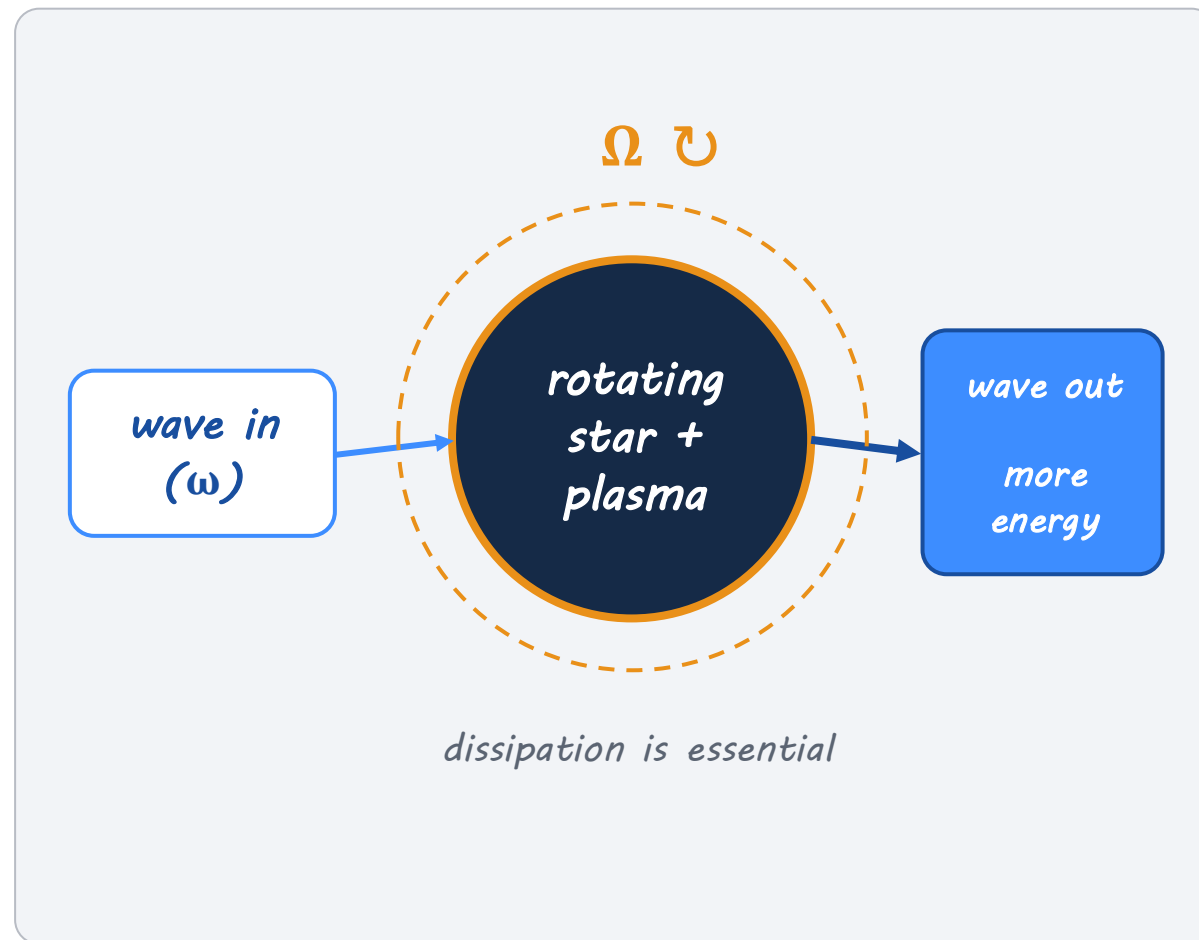
Superradiance extracts rotational energy

A rotating, dissipative system can amplify a co-rotating mode.

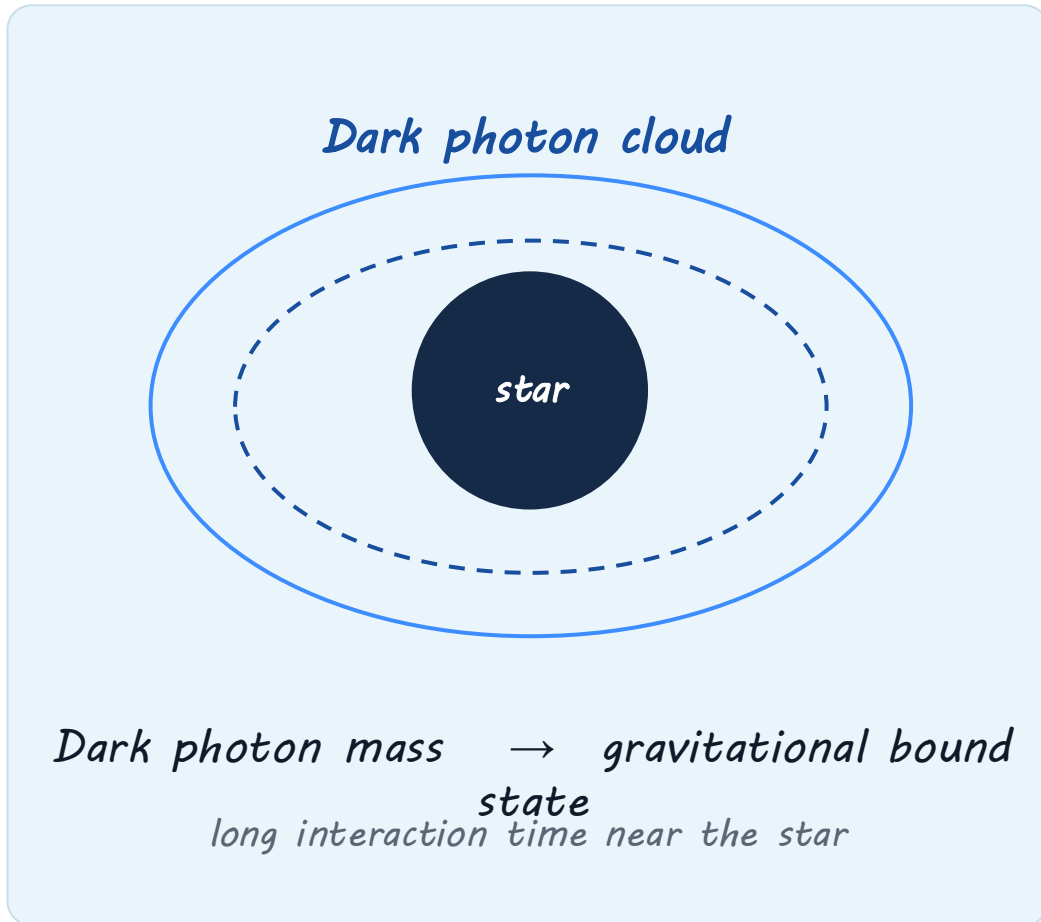
$$\omega < m\Omega$$

To the rotating medium, the mode has frequency $\omega < m\Omega$. Dissipation then allows the outgoing wave to carry away more energy.

The extra energy comes from rotation



Why use a dark-photon bound state?



WHY THIS SYSTEM?

- 01 A massive vector can be gravitationally trapped
- 02 A long-lived cloud remains close to the rotating star
- 03 Small mixing ϵ lets the cloud communicate with ordinary plasma

Can the star feed this bound state and give us some signal of dark photon?