

# Asymmetric Mediator in Scotogenic Model

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New perspectives on flavor and symmetries in particle physics  
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Based on **K. Asai**, Y. Sakai, J. Sato, Y. Takanishi, and M. Yamanaka, PLB 836 (2023) 137627,  
arXiv:[2209.08257](https://arxiv.org/abs/2209.08257)

**K. Asai**, S. Enomoto, T. Hirose, and M. Yamanaka, arXiv:[2512.14271](https://arxiv.org/abs/2512.14271)

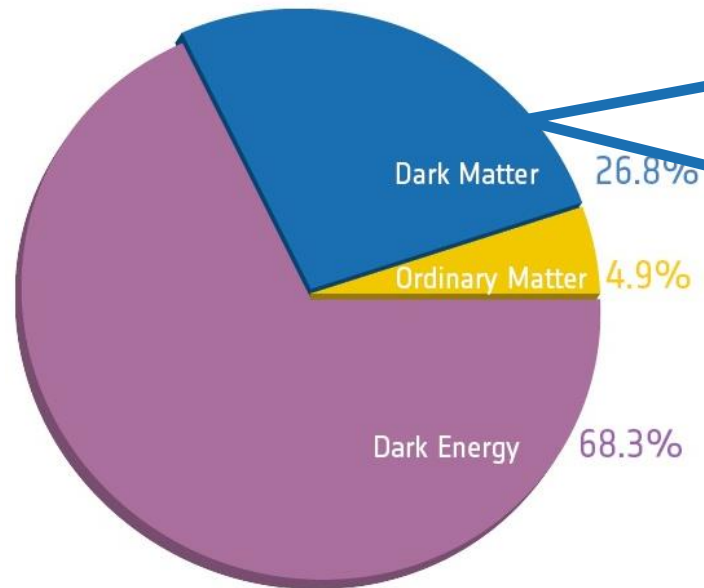
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- 1, Introduction
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- 3, Cogenesis of lepton and mediator asymmetries
- 4, Dark matter abundance
- 5, Cosmological bounds
- 6, Summary

# Introduction

# Motivation of BSM

Measurement of Cosmic Microwave Background (CMB) suggests existence of dark matter and baryon asymmetry



## Dark matter

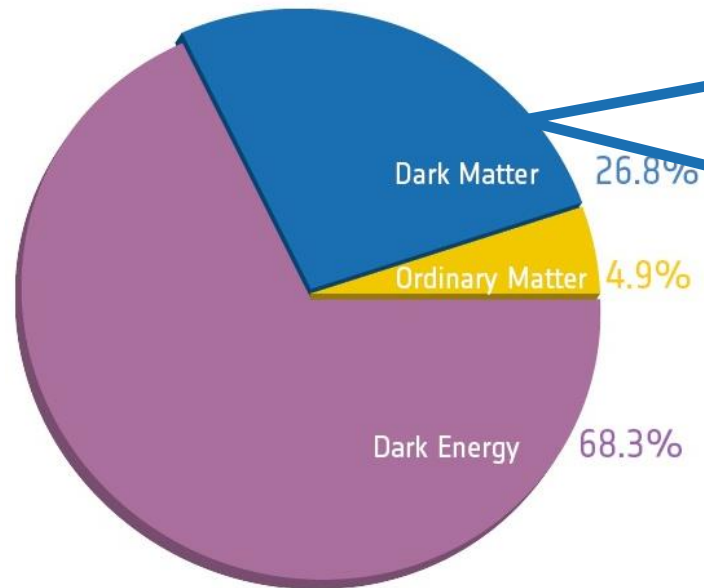
Conditions should be satisfied

- non-baryon
- massive
- zero EM charge

➔ Neutrinos ?

# Motivation of BSM

Measurement of Cosmic Microwave Background (CMB) suggests existence of dark matter and baryon asymmetry



## Dark matter

Conditions should be satisfied

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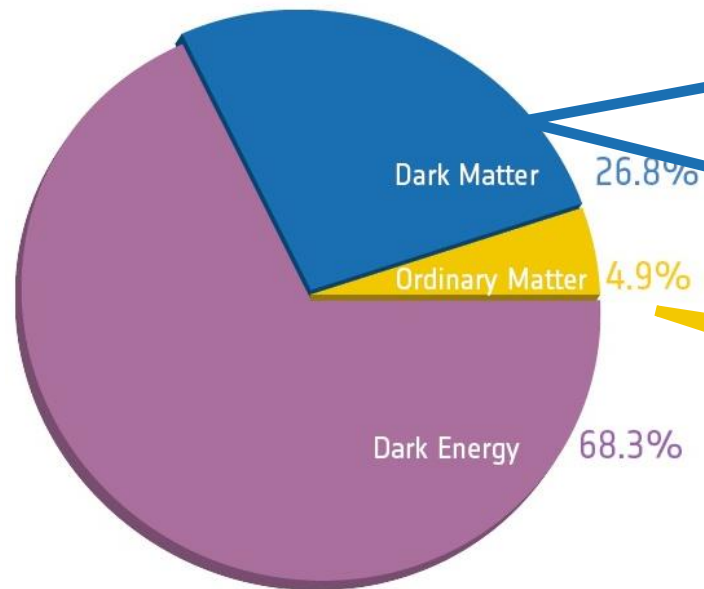


~~Neutrinos?~~

Too long free-streaming scale (hot DM)

# Motivation of BSM

Measurement of Cosmic Microwave Background (CMB) suggests existence of dark matter and baryon asymmetry



## Dark matter

Conditions should be satisfied

- non-baryon
- massive
- zero EM charge

→ ~~Neutrinos ?~~ Too long free-streaming scale (hot DM)

## Baryon asymmetry

SM does not satisfy Sakharov's three conditions

- Baryon number violation ✓
- C & CP violation ✗
- Departure from thermal equilibrium ✓

→ ~~Electroweak baryogenesis~~

# Dark matter

## Candidate in BSM model

- Weakly Interacting Massive Particle (WIMP)
- Strongly Interacting Massive Particle (SIMP)
- Axion / Axion-like Particle (ALP)
- Sterile Neutrino
- $\vdots$

## DM production scenario

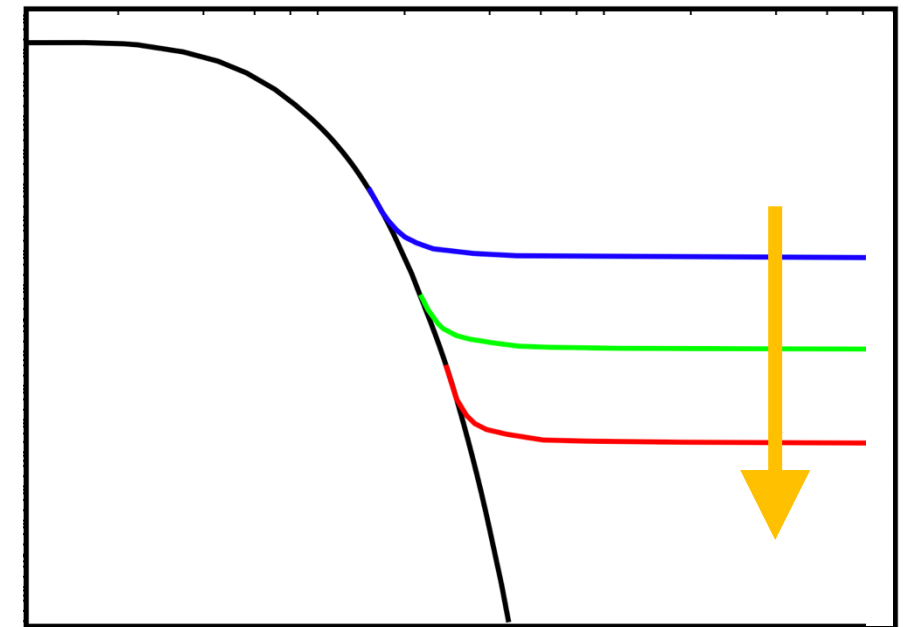
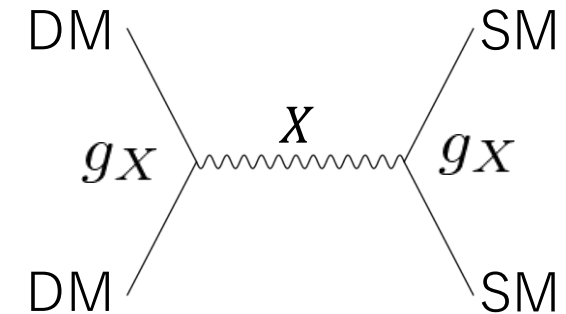
e.g.)

- Thermal freeze-out mechanism

DM is produced at a breath and reduced by **annihilation**

int. rate  $\nearrow$   $\rightarrow$  DM relic density  $\searrow$

$$\Omega_{\text{DM}} \propto m_{\text{DM}} n_{\text{DM}} \simeq 0.1 \times \left( \frac{10^{-9} \text{ GeV}^2}{\langle \sigma_{\text{ann}} v \rangle} \right)$$



# Baryogenesis

## Candidate in BSM model

- Electroweak baryogenesis
- Leptogenesis
- Affleck-Dine baryogenesis
- baryogenesis via neutrino oscillations
- ⋮

## Leptogenesis scenario

Heavy Majorana neutrino

↓ CP-violating decay

Lepton asymmetry

↓ Sphaleron process

Baryon asymmetry

$$\Omega_B \propto \frac{n_B}{n_\gamma} \simeq -0.01 \epsilon \kappa$$

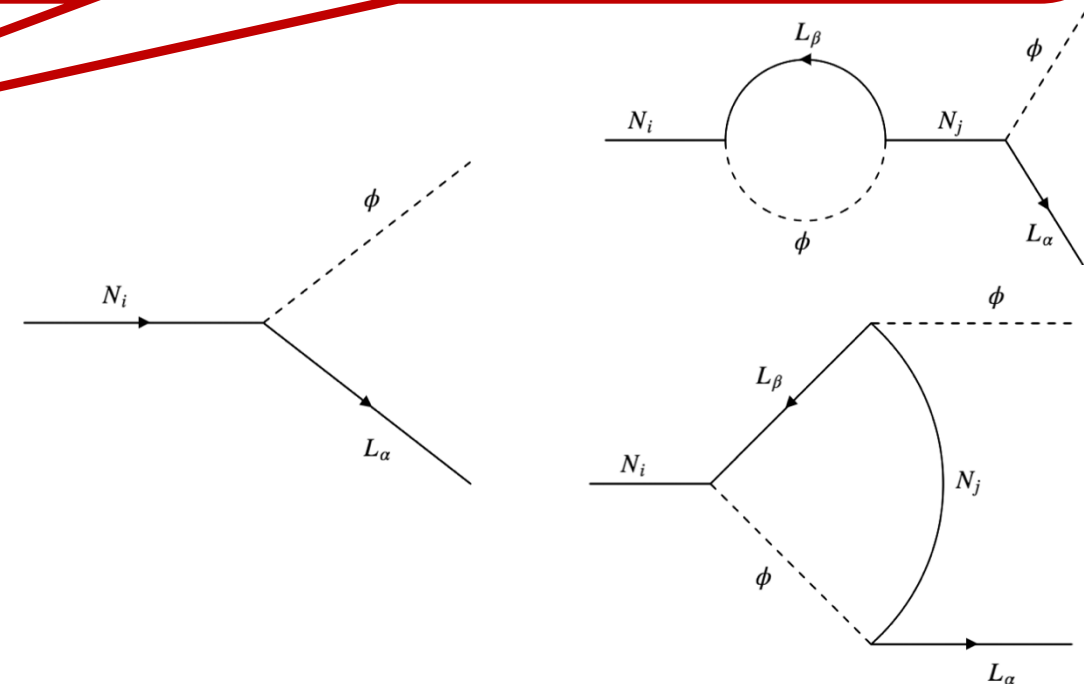
## Dirac mass term

→ Non-zero  $\nu$  mass

## Seesaw mechanism

P. Minkowski (1977); T. Yanagida (1979); M. Gell-Mann, P. Ramond, and R. Slansky (1979); R. N. Mohapatra and G. Senjanovic (1980)

→ Lightness of active  $\nu$



# Coincidence Problem

Energy densities of baryon and dark matter are close each other

$$\Omega_{\text{DM}} : \Omega_B \sim 5 : 1$$

- ➔ Dark matter and baryon asymmetry are individually generated by different mechanism
- ➔ Why are  $\Omega_{\text{DM}}$  and  $\Omega_B$  close each other ?

# Coincidence Problem

Why are  $\Omega_{\text{DM}}$  and  $\Omega_{\text{B}}$  close each other ?

Answer 1 :

No theoretical reason. Accidentally.

Answer 2 :

Anthropic requirement. Too small  $\Omega_{\text{B}}/\Omega_{\text{DM}}$  cause failed star formation

Tegmark, Aguirre, Ree, Wilczek (2006)

Answer 3 :

Mechanism connecting DM and baryon generation



Asymmetric dark matter

Barr, Chivukula, Farhi (1990); Kaplan (1992); Kaplan, Luty, Zurek (2009);

# Asymmetric DM

## Basic idea

DM relic density is realized by DM-anti DM annihilation

$$\eta_{\text{DM}} = (n_{\text{DM}} - n_{\overline{\text{DM}}}) / n_{\gamma}, \quad \eta_{\text{B}} = (n_{\text{B}} - n_{\overline{\text{B}}}) / n_{\gamma}$$

DM relic density = DM asymmetry

- DM & baryon asymmetries have a common origin, and then

$$\eta_{\text{DM}} / \eta_{\text{B}} = \mathcal{O}(1)$$

- DM mass is  $\sim 5 \text{ GeV}$ ,

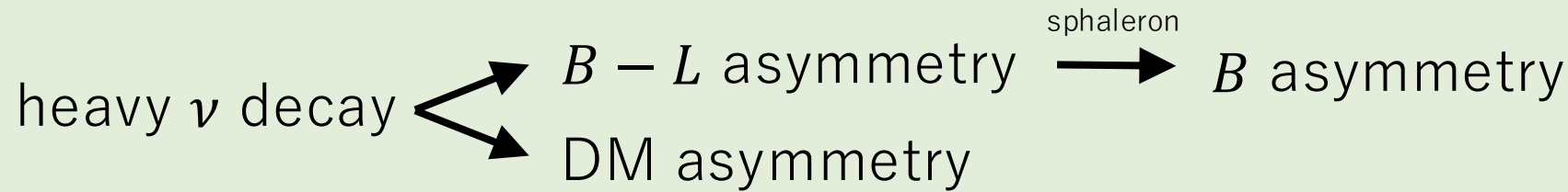
Why  $m_{\text{DM}} = \mathcal{O}(1) \text{ GeV}$  ?

➔ 
$$\begin{aligned} \Omega_{\text{DM}} / \Omega_{\text{B}} &= m_{\text{DM}} n_{\text{DM}} / m_{\text{B}} n_{\text{B}} \\ &= (m_{\text{DM}} / m_{\text{B}}) \times (\eta_{\text{DM}} / \eta_{\text{B}}) \sim 5 \end{aligned}$$

Coincidence problem  
is partially solved

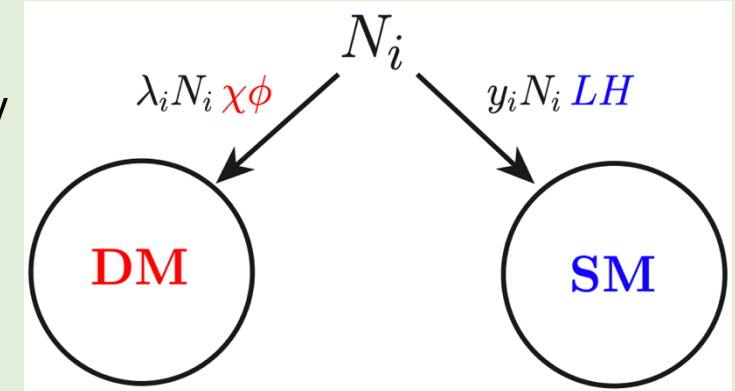
# Cogenesis

## Cogenesis in leptogenesis scenario



Asymmetries of lepton and DM are generated by CP-violating heavy neutrino decays

Falkowski, Ruderman, Volansky (2011)



### ○ Lagrangian

$$\mathcal{L} = y_i N_i^c (L \cdot H) + \lambda_i N_i^c \chi \phi + \frac{1}{2} M_i N_i^c N_i^c + \text{H.c.}$$

where  $y_1, \lambda_1 \in \mathbb{R}$ ,  $y_2 = |y_2| e^{i\phi_l}$ ,  $\lambda_2 = |\lambda_2| e^{i\phi_\chi}$

e.g.) standard leptogenesis

$$\Omega_B \propto \frac{n_B}{n_\gamma} \simeq -0.01 \epsilon \kappa$$

### ○ Asymmetry parameter (asymmetry generation per one $N_R$ decay)

$$\frac{\epsilon_l}{\epsilon_\chi} \simeq \frac{2r \sin(2\phi_l) + \sin(\phi_l + \phi_\chi)}{2r^{-1} \sin(2\phi_\chi) + \sin(\phi_l + \phi_\chi)} \sim r$$

where  $r = y_1 |y_2| / (\lambda_1 |\lambda_2|)$



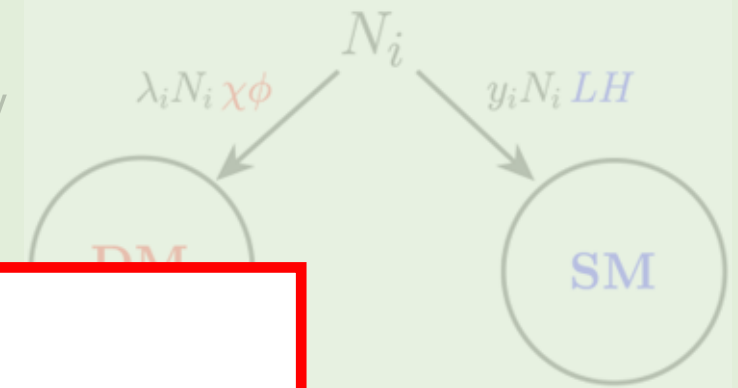
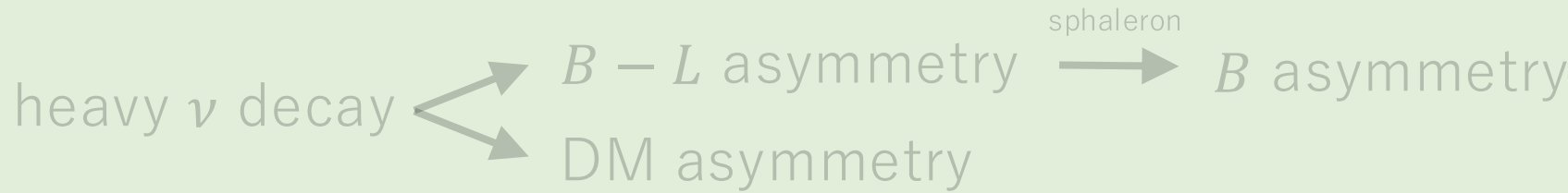
Condition for  $\Omega_{\text{DM}}/\Omega_B = \mathcal{O}(1)$

- $m_{\text{DM}}/m_B, r = \mathcal{O}(1)$
- $r = \mathcal{O}(1)$
- washout factor :  $\kappa_l \sim \kappa_\chi$

# Cogenesis

## Cogenesis in leptogenesis scenario

Falkowski, Ruderman, Volansky (2011)



Too many conditions

➔ More simple and natural realization of  $\Omega_{\text{DM}}/\Omega_{\text{B}} = \mathcal{O}(1)$  by cogenesis ?

- Lagrangian

$$\mathcal{L} = y_i N_i^c$$

where  $y_1, \lambda_1 \in \mathbb{R}$ ,  $y_2 = |y_2| e^{i\phi_l}$ ,  $\lambda_2 = |\lambda_2| e^{i\phi_\chi}$

Standard leptogenesis  $\frac{\Omega_{\text{B}}}{\Omega_{\gamma}} \simeq -0.01 \epsilon \kappa$

- Asymmetry parameter (asymmetry generation per one  $N_R$  decay)

$$\frac{\epsilon_l}{\epsilon_\chi} \simeq \frac{2r \sin(2\phi_l) + \sin(\phi_l + \phi_\chi)}{2r^{-1} \sin(2\phi_\chi) + \sin(\phi_l + \phi_\chi)} \sim r$$

where  $r = y_1 |y_2| / (\lambda_1 |\lambda_2|)$

Condition for  $\Omega_{\text{DM}}/\Omega_{\text{B}} = \mathcal{O}(1)$

- $m_{\text{DM}}/m_{\text{B}}, r = \mathcal{O}(1)$
- washout factor :  $\kappa_l \sim \kappa_\chi$

# New idea

## Motivation

We want to realize cogenesis in more simple and natural model

## Idea

SM fields ( $Z_2$  even)

+ right-handed neutrinos ( $Z_2$  odd) :  $N_R$

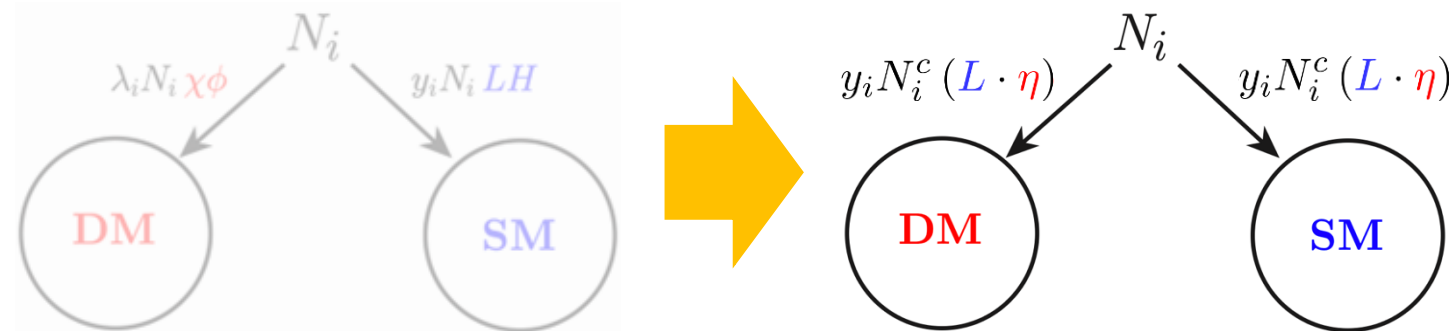
+ neutrinophilic  $SU(2)_L$  doublet scalar ( $Z_2$  odd) :  $\eta$

$Z_2$  symmetry

- prohibit  $y_i N_i^c (L \cdot H)$
- DM stability

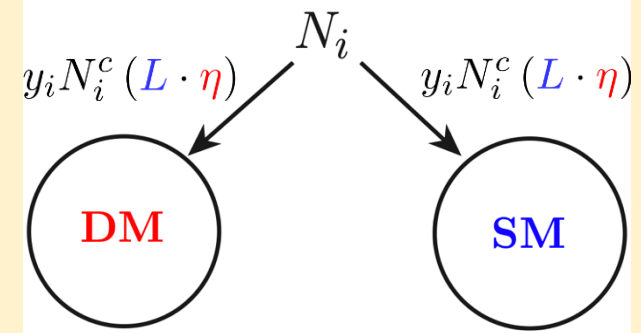
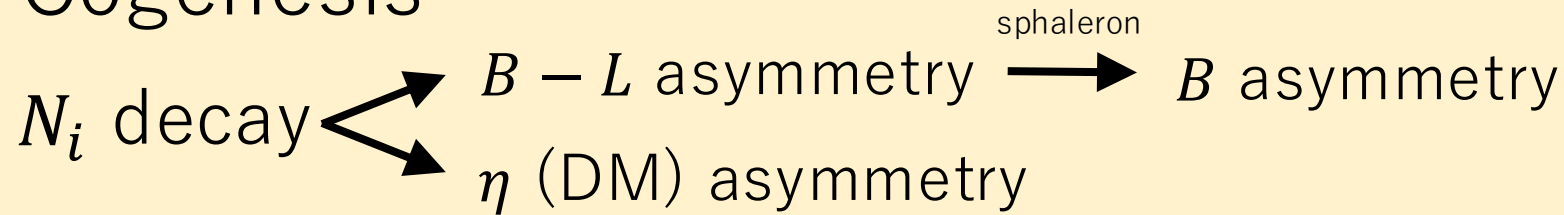
## ○ Lagrangian

$$\mathcal{L} = y_i N_i^c (L \cdot \eta) + \frac{1}{2} M_i N_i^c N_i^c$$



# New idea

## ○ Cogenesis



$$\eta_B = \frac{28}{79} \eta_{B-L} = \frac{28}{79} \eta_{\text{DM}}$$

➔  $\eta_B \sim \eta_{\text{DM}}$  is naturally realized

### Field contents

SM fields ( $Z_2$  even)

+ right-handed neutrinos ( $Z_2$  odd) :  $N_R$

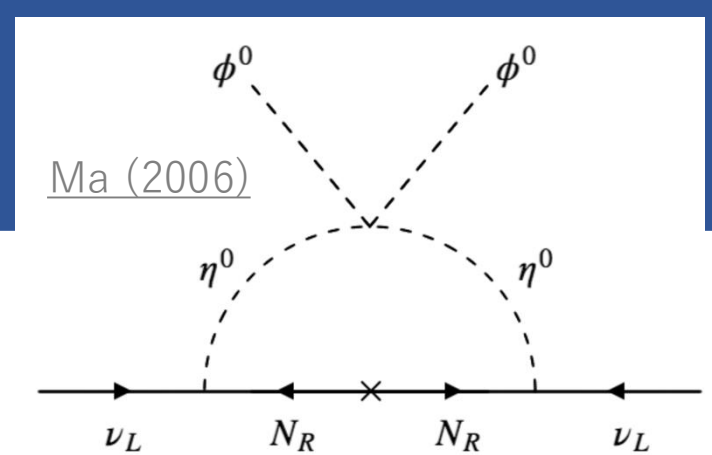
+ neutrinophilic  $SU(2)_L$  doublet scalar ( $Z_2$  odd) :  $\eta$

➔ Same fields and symmetry as scotogenic (Ma) model

$$\Omega_{\text{DM}} : \Omega_B \sim 5 : 1$$

$$\begin{aligned}
 m_{\text{DM}} &= \left( \frac{\Omega_{\text{DM}}}{\Omega_B} \right) \left( \frac{\eta_{\text{DM}}}{\eta_B} \right)^{-1} m_B \\
 &\simeq 5 \times \left( \frac{79}{28} \right)^{-1} \times 1 \text{ GeV} \\
 &\simeq 2 \text{ GeV}
 \end{aligned}$$

# Scotogenic model



## ○ Field contents

SM fields ( $Z_2$  even)

+ three (or two) right-handed neutrinos ( $Z_2$  odd) :  $N_R$

+ neutrinophilic  $SU(2)_L$  doublet scalar ( $Z_2$  odd) :  $\eta$

$$\eta = \begin{pmatrix} \eta^+ \\ \frac{1}{\sqrt{2}}(\eta_R + i\eta_I) \end{pmatrix}$$

## ○ Lagrangian

$$\mathcal{L}_Y = \mathcal{L}_{\text{SM}} + \left( \bar{L}_\alpha h_{\alpha i} \tilde{\eta}^c N_i - \frac{1}{2} M_i N_i^T N_i + h.c. \right) - V_{\text{scalar}}(\phi, \eta)$$

$$V_{\text{scalar}}(\phi, \eta) = m_\phi^2 \phi^\dagger \phi + m_\eta^2 \eta^\dagger \eta + \frac{1}{2} \lambda_1 (\phi^\dagger \phi)^2 + \frac{1}{2} \lambda_2 (\eta^\dagger \eta)^2 + \lambda_3 (\phi^\dagger \phi) (\eta^\dagger \eta) \\ + \lambda_4 (\phi^\dagger \eta) (\eta^\dagger \phi) + \frac{1}{2} \lambda_8 [(\phi^\dagger \eta)^2 + h.c.]$$

$U(1)_L$  lepton number symmetry is violated ➔ Neutrino mass

But...

# Scalar mass

## Z<sub>2</sub>-odd scalar mass

$$m^2(\eta^\pm) = m_\eta^2 + \lambda_3 v^2 \equiv m_+^2$$

$$m^2(\eta_R^0) = m_\eta^2 + (\lambda_3 + \lambda_4 + \lambda_8)v^2 \equiv m_R^2$$

$$m^2(\eta_I^0) = m_\eta^2 + (\lambda_3 + \lambda_4 - \lambda_8)v^2 \equiv m_I^2$$

## Experimental bound

- Slepton search

$$\eta^+ \rightarrow \tau^+ \nu_\tau \quad \Rightarrow \quad m(\eta^+) \gtrsim 350 \text{ GeV}$$

$$\eta^+ \rightarrow \mu^+ \nu_\mu \quad \Rightarrow \quad m(\eta^+) \gtrsim 550 \text{ GeV}$$

- Z, W boson decay

$$\min(m_R + m_I, 2m_+) < m_Z$$

$$\min(m_R + m_+, m_I + m_+) < m_W$$

- Triviality bound

$$|\lambda_i| < 4\pi$$

### Solution ?

$$(m_+, m_R, m_I) = (1 \text{ TeV}, 900 \text{ GeV}, 2 \text{ GeV})$$

$$\Rightarrow (\lambda_4, \lambda_8) \simeq (-9.8, 6.7)$$

Failedogenesis (I explain later)

# Asymmetric mediator model

**K. Asai**, Y. Sakai, J. Sato, Y. Takanishi, and M. Yamanaka, PLB 836 (2023) 137627,  
arXiv:[2209.08257](https://arxiv.org/abs/2209.08257)

# Extended scotogenic model

## ○ Field contents

SM fields

+ three right-handed neutrinos :  $N_R$

+ neutrinophilic  $SU(2)_L$  doublet scalar :  $\eta$

+ singlet scalar DM :  $\sigma$

field	fermion			scalar		
	$L$	$e_R$	$N$	$H$	$\eta$	$\sigma$
$SU(2)_L$	<b>2</b>	<b>1</b>	<b>1</b>	<b>2</b>	<b>2</b>	<b>1</b>
$Z_2$	+	+	-	+	-	-

## ○ Lagrangian

$$\mathcal{L} \supset -h_{\alpha i} \bar{L}_\alpha \tilde{\eta} N_i + \frac{1}{2} M_i \bar{N}_i N_i^c + \text{H.c.} ,$$

$$V(H, \eta, \sigma) = \mu_H^2 |H|^2 + m_\eta^2 |\eta|^2 + \frac{1}{2} m_\sigma^2 \sigma^2 + \frac{1}{2} \lambda_1 |H|^4 + \frac{1}{2} \lambda_2 |\eta|^4 + \frac{1}{2} \lambda_3 \sigma^4 + \lambda_4 |H|^2 |\eta|^2$$

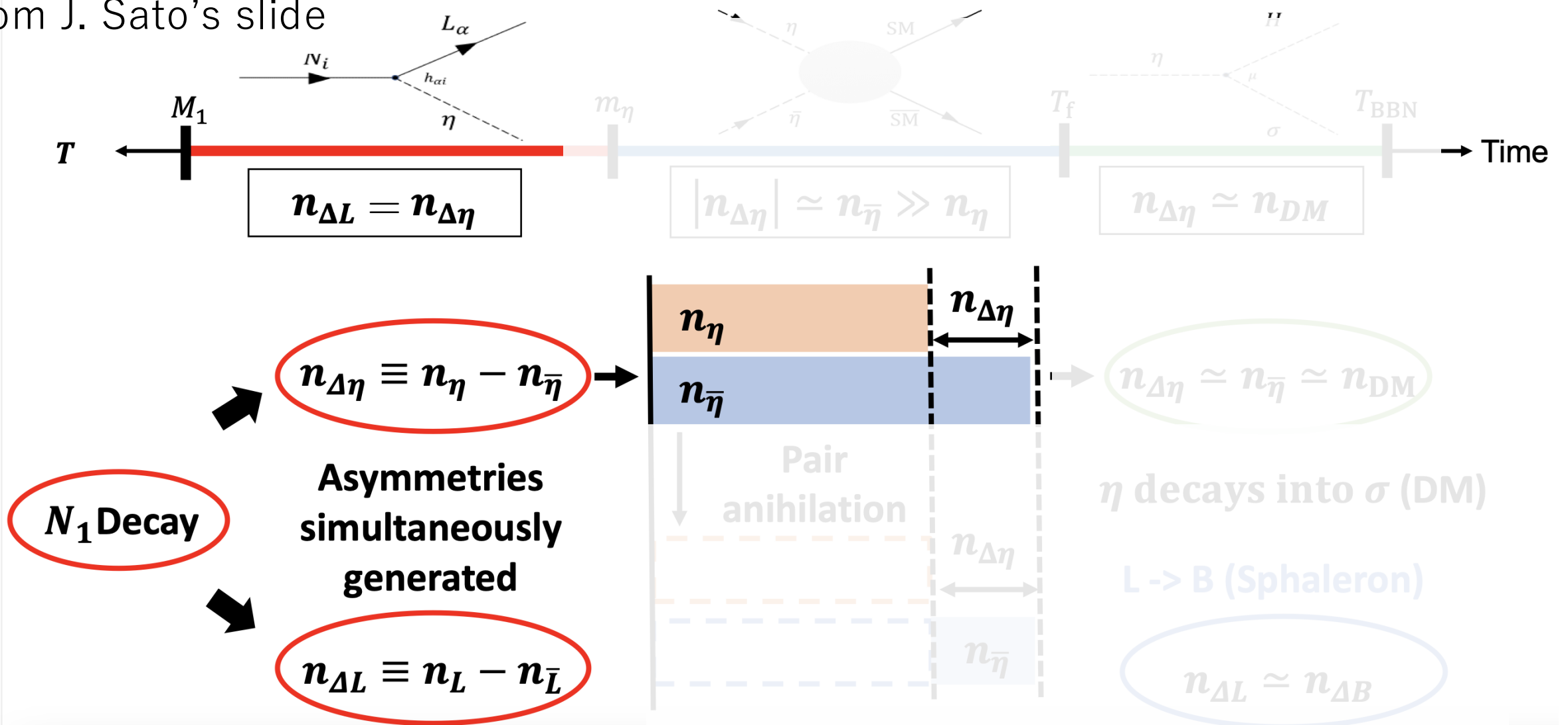
$$+ \lambda_5 |H^\dagger \eta|^2 + \lambda_6 |H|^2 \sigma^2 + \lambda_7 |\eta|^2 \sigma^2 + \frac{1}{2} [\lambda_8 (H^\dagger \eta)^2 + \text{H.c.}]$$

$$+ \frac{1}{\sqrt{2}} [\mu \sigma (H^\dagger \eta) + \text{H.c.}] ,$$

Important  
forogenesis

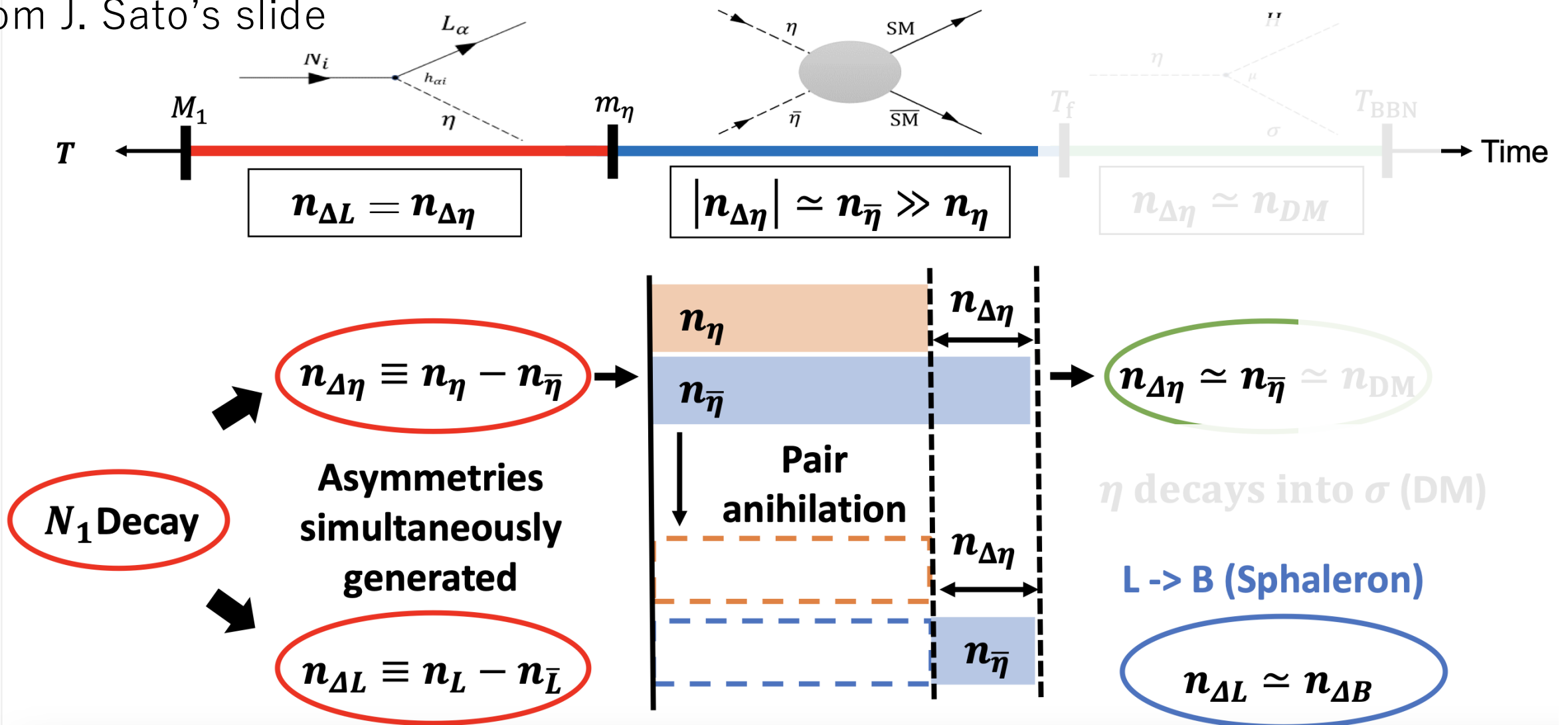
# Tales of Cogenesis

From J. Sato's slide



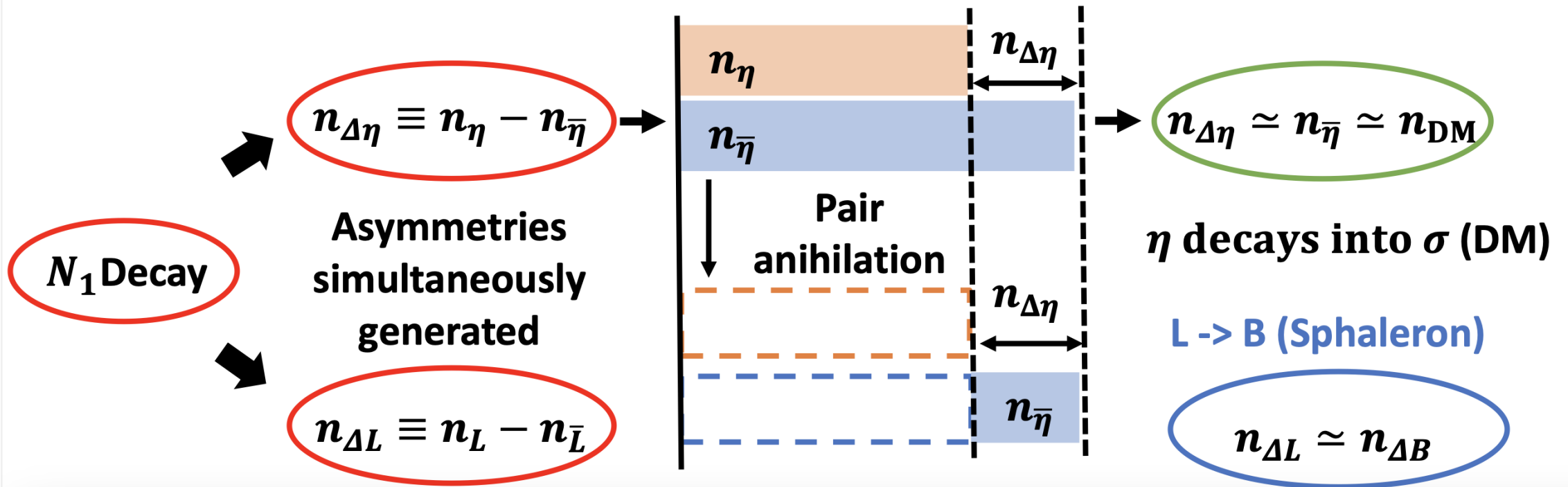
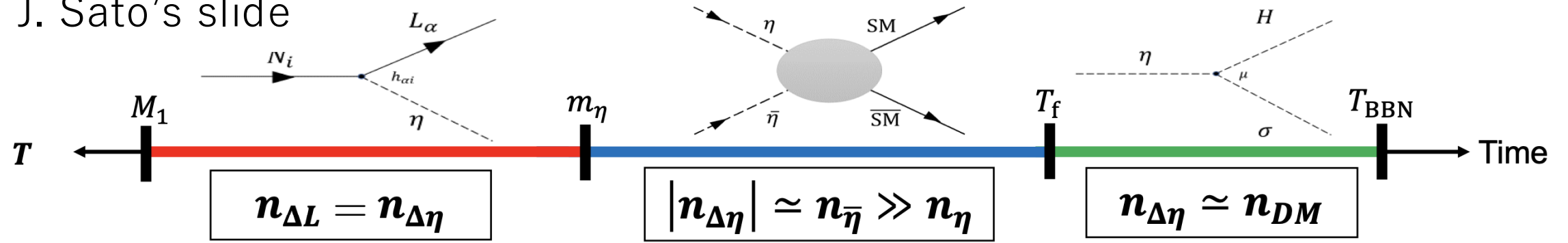
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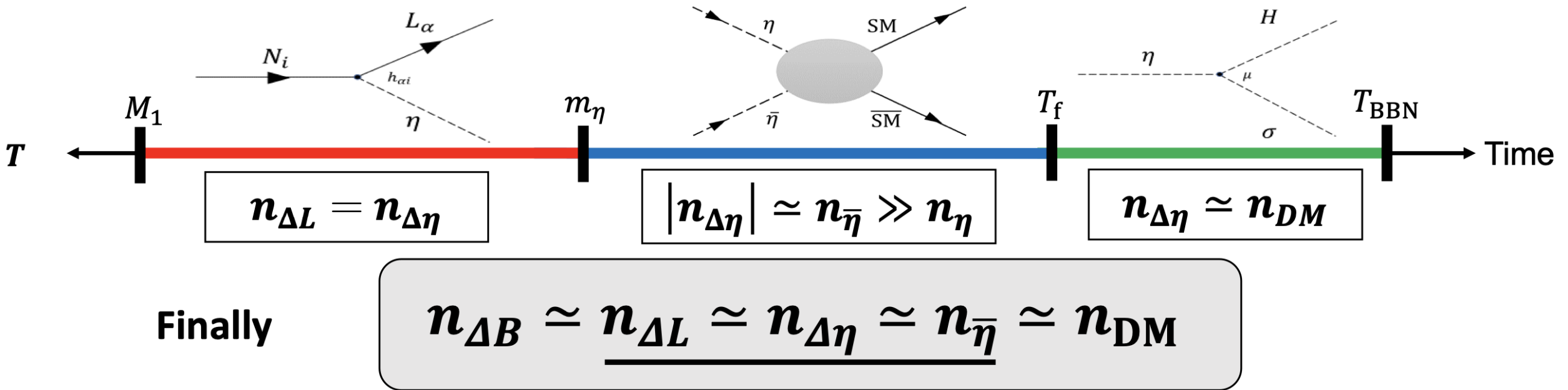
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**Connecting Baryon # and DM # via  $\Delta\eta$**



**Asymmetric Mediator**

# Cogenesis of lepton & mediator asymmetries

# (Lepto+Mediato)genesis

## Asymmetry parameter

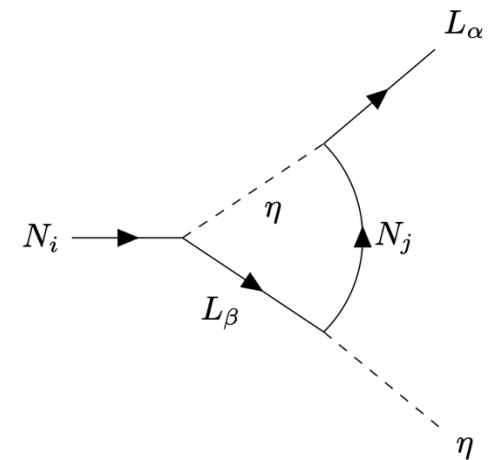
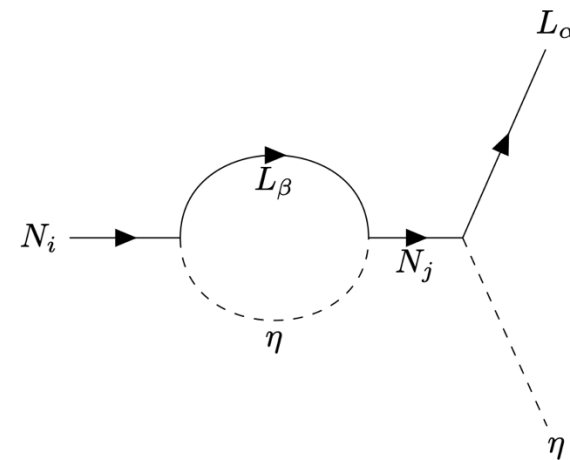
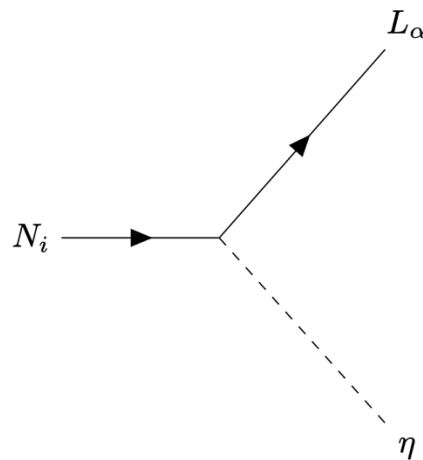
Hugle, Platscher, Schmitz (2018)

$$\begin{aligned}\epsilon_i &= \frac{\sum_{\alpha} [\Gamma(N_i \rightarrow L_{\alpha}\eta) - \Gamma(N_i \rightarrow \bar{L}_{\alpha}\eta^{\dagger})]}{\sum_{\alpha} [\Gamma(N_i \rightarrow L_{\alpha}\eta) + \Gamma(N_i \rightarrow \bar{L}_{\alpha}\eta^{\dagger})]} \\ &= \frac{1}{8\pi} \frac{1}{(h^{\dagger}h)_{ii}} \sum_{j \neq i} \text{Im} \left[ \left\{ (h^{\dagger}h)_{ij} \right\}^2 \right] F(r_{ji}, \eta_i),\end{aligned}$$

with

$$\begin{aligned}\eta_i &\equiv m_{\eta}^2/M_i^2 \\ r_{ji} &\equiv M_j^2/M_i^2\end{aligned}$$

$$F(x, y) = \sqrt{x} \left[ 1 + \frac{1+x-2y}{(1-y)^2} \ln \left( \frac{x-y^2}{1+x-2y} \right) - \frac{1}{x-1} (1-y)^2 \right]$$



# (Lepto+Mediato)genesis

## Decay parameter

Hugle, Platscher, Schmitz (2018)

$$\begin{aligned} K_1 &\equiv \Gamma_1/H(T = M_1) \\ &= \frac{2\pi^2}{\lambda_8} \xi_1 \sqrt{\frac{45}{64\pi^5 g_*}} \frac{M_{\text{Pl}}}{v^2} \tilde{m}_{11} (1 - \eta_1)^2 \quad \text{with} \quad \eta_i \equiv m_{\eta_i}^2/M_i^2 \\ &\simeq 15 \cdot \frac{10^{-7}}{\lambda_8} \left( \frac{-10}{\ln(\eta_1)} \right) \frac{\tilde{m}_{11}}{10^{-10} \text{ eV}}, \quad r_{ji} \equiv M_j^2/M_i^2 \\ &\quad \tilde{m} \equiv RD_\nu R^\dagger. \end{aligned}$$

In this model, lepton asymmetry is generated via strong wash-out regime

## Efficiency parameter

Buchmuller, Bari, Plumacher (2005)

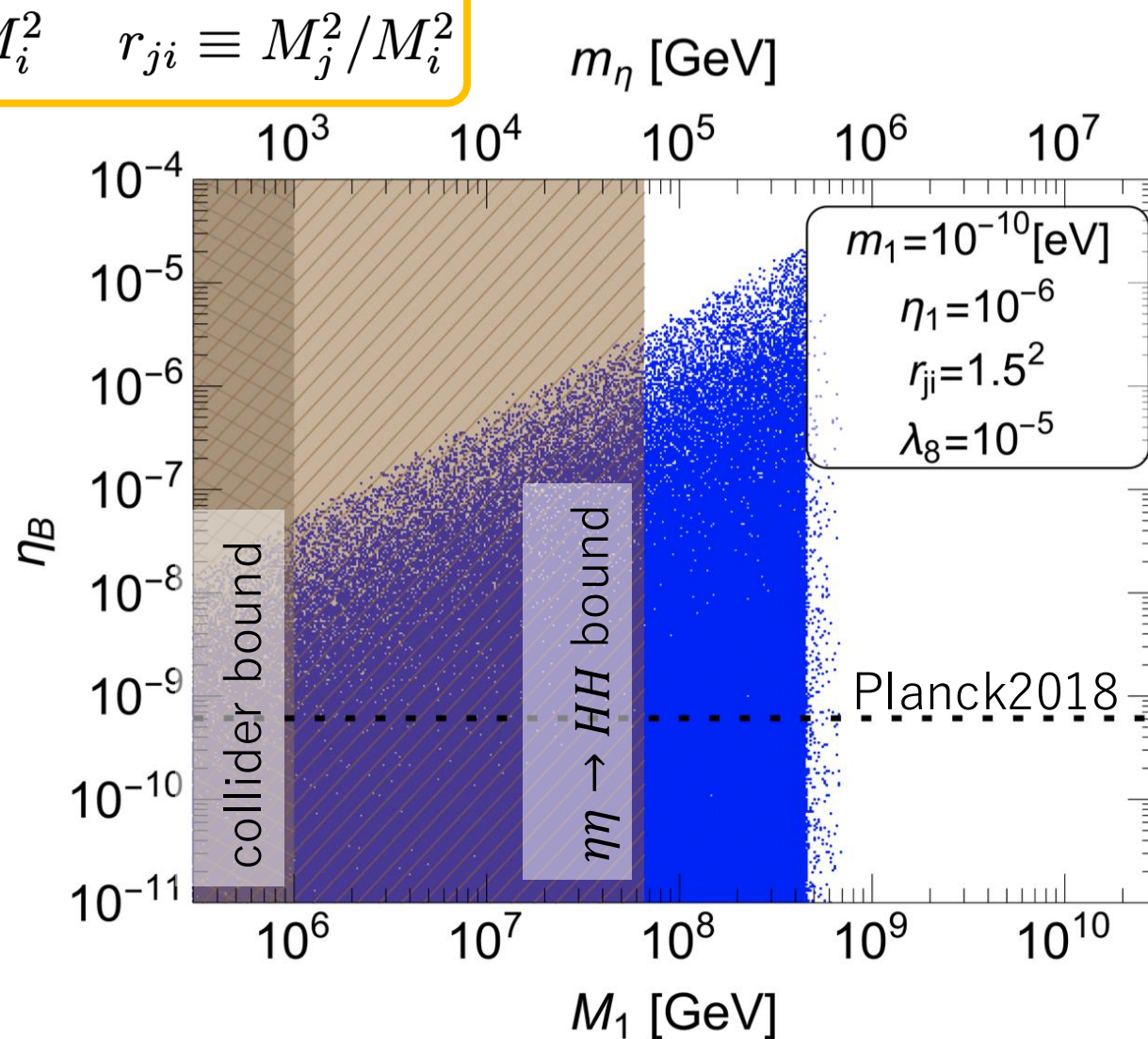
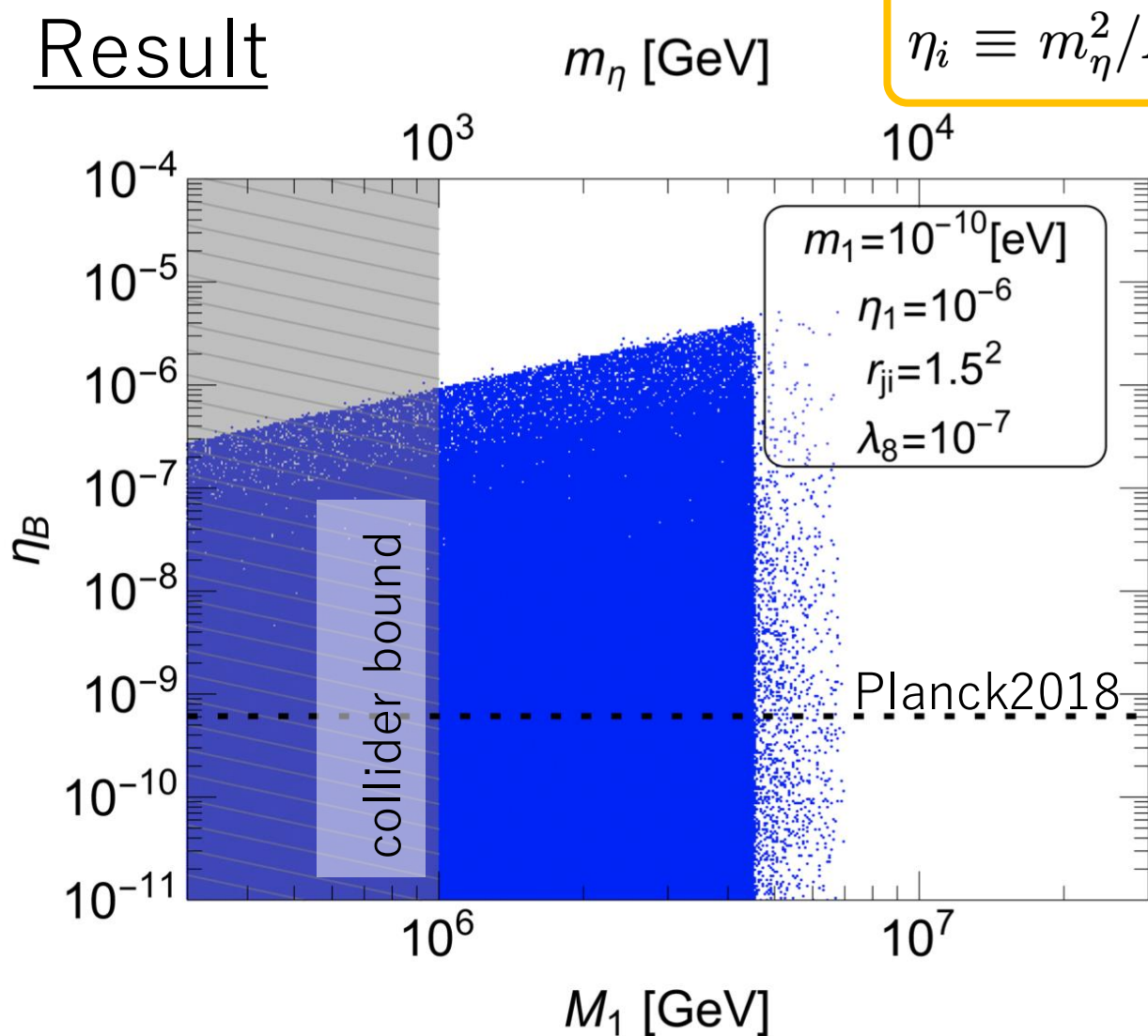
$$\kappa_1(K_1) = \frac{1}{1.2K_1[\ln K_1]^{0.8}}$$

# Baryon asymmetry

All points satisfy

$$\sum m_i < 0.16 \text{ eV}, |h_{\alpha i}| < 1, K_1 > 10$$

Result



# Baryon asymmetry

All points satisfy

$$\sum m_i < 0.16 \text{ eV}, |h_{\alpha i}| < 1, K_1 > 10$$

## Large- $\eta_B$ boundary

Larger asymmetry



Larger Yukawa coupling



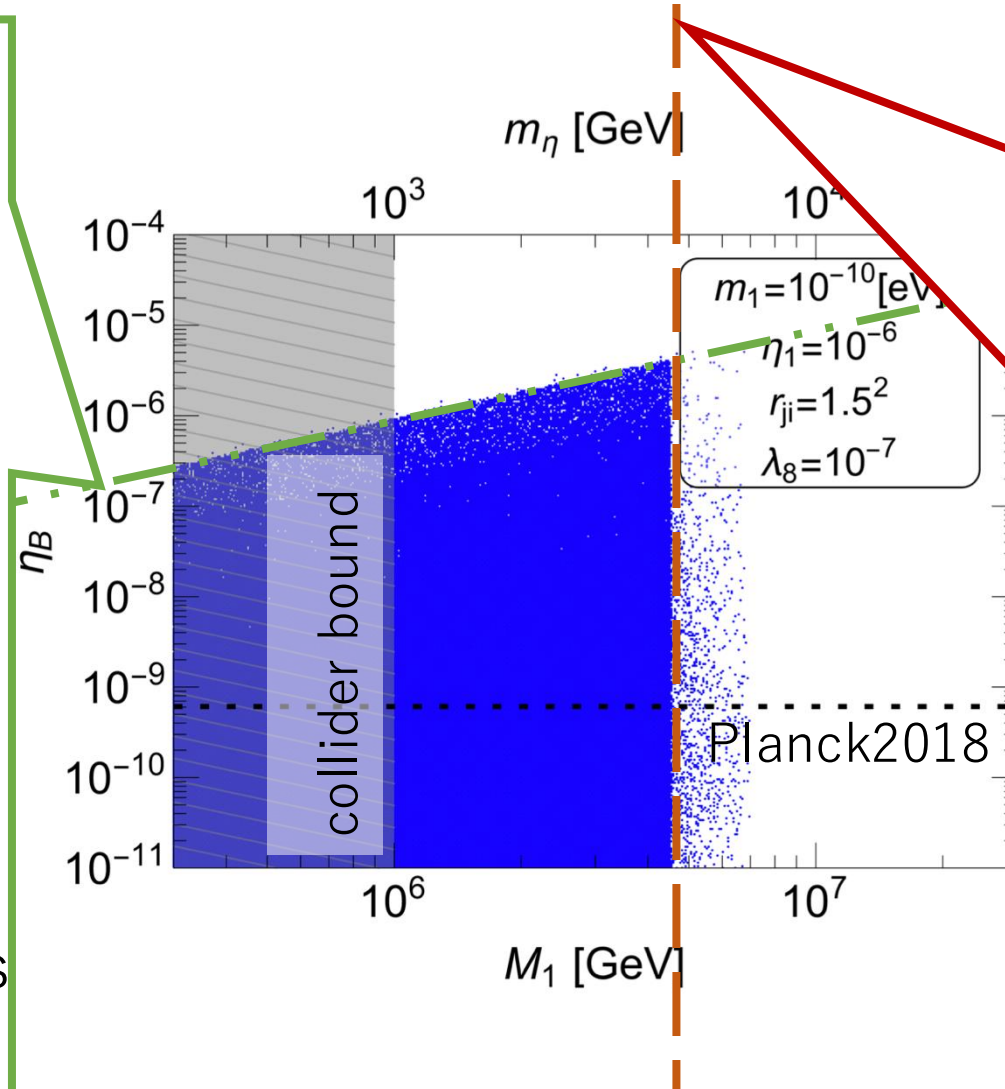
Heavier neutrino mass



tension

Bound on neutrino mass

$$\sum m_i < 0.16 \text{ eV}$$



## Heavy- $M_1$ boundary

Heavier  $M_1$



Larger  $\nu$  Yukawa coupling needs for enough large  $m_i$



tension

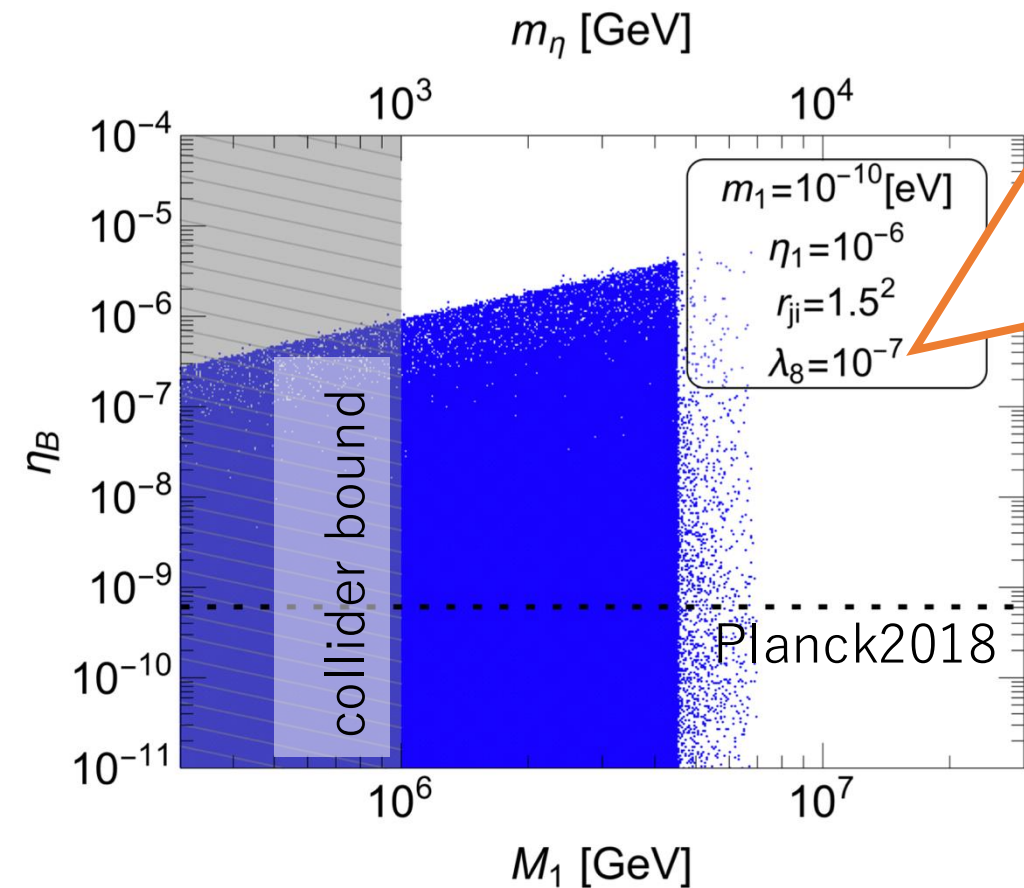
Triviality bound

$$|h_{\alpha i}| < 1$$

# Baryon asymmetry

All points satisfy

$$\sum m_i < 0.16 \text{ eV}, |h_{\alpha i}| < 1, K_1 > 10$$



Small- $\lambda_8$  boundary

Smaller  $\lambda_8$



Lighter  $M_1$  needs for enough large neutrino mass



Mediator mass  $m_\eta$  needs to be lighter



tension

Collider bound on mediator :  $m_\eta > 1 \text{ TeV}$



Too small  $\lambda_8$  is disfavored

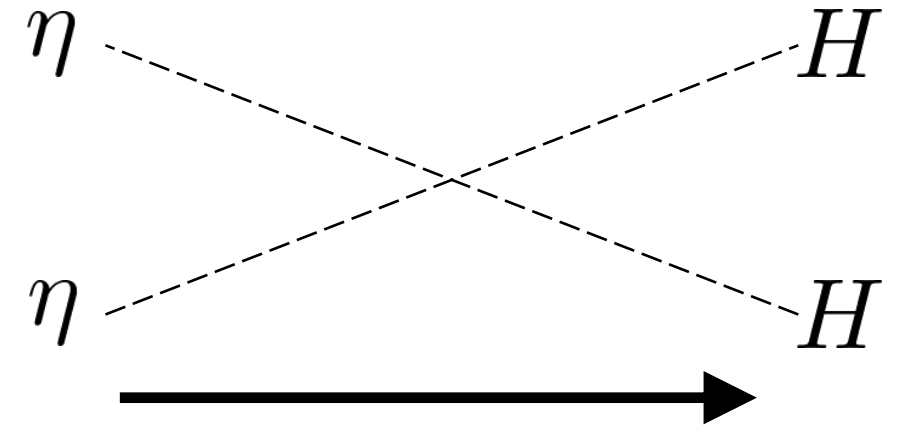
# $\lambda_8$ bound

$\lambda_8$  interaction washes out mediator asymmetry  $n_{\Delta\eta}$

$$(\sigma v)_{\eta\eta \rightarrow HH} = (\sigma v)_{\eta^\dagger\eta^\dagger \rightarrow H^\dagger H^\dagger} = \frac{3\lambda_8^2}{128\pi T^2}$$

Violate important relation

$$\underline{n_{\Delta B} \simeq n_{\Delta L} \simeq n_{\Delta\eta} \simeq n_{\bar{\eta}} \simeq n_{\text{DM}}}$$



$\lambda_8$  interaction should be suppressed

$$(\sigma v_{\text{rel}})_{\eta\eta \rightarrow HH} n_{\eta^0} < H(T)$$

$$\lambda_8 < 3.9 \times 10^{-8} \sqrt{\frac{m_\eta}{\text{GeV}}}$$

Solution ? Reminder

$$(m_+, m_R, m_I) = (1 \text{ TeV}, 900 \text{ GeV}, 2 \text{ GeV})$$

$$\rightarrow (\lambda_4, \lambda_8) \simeq (-9.8, 6.7)$$

Failedogenesis (I explain later)

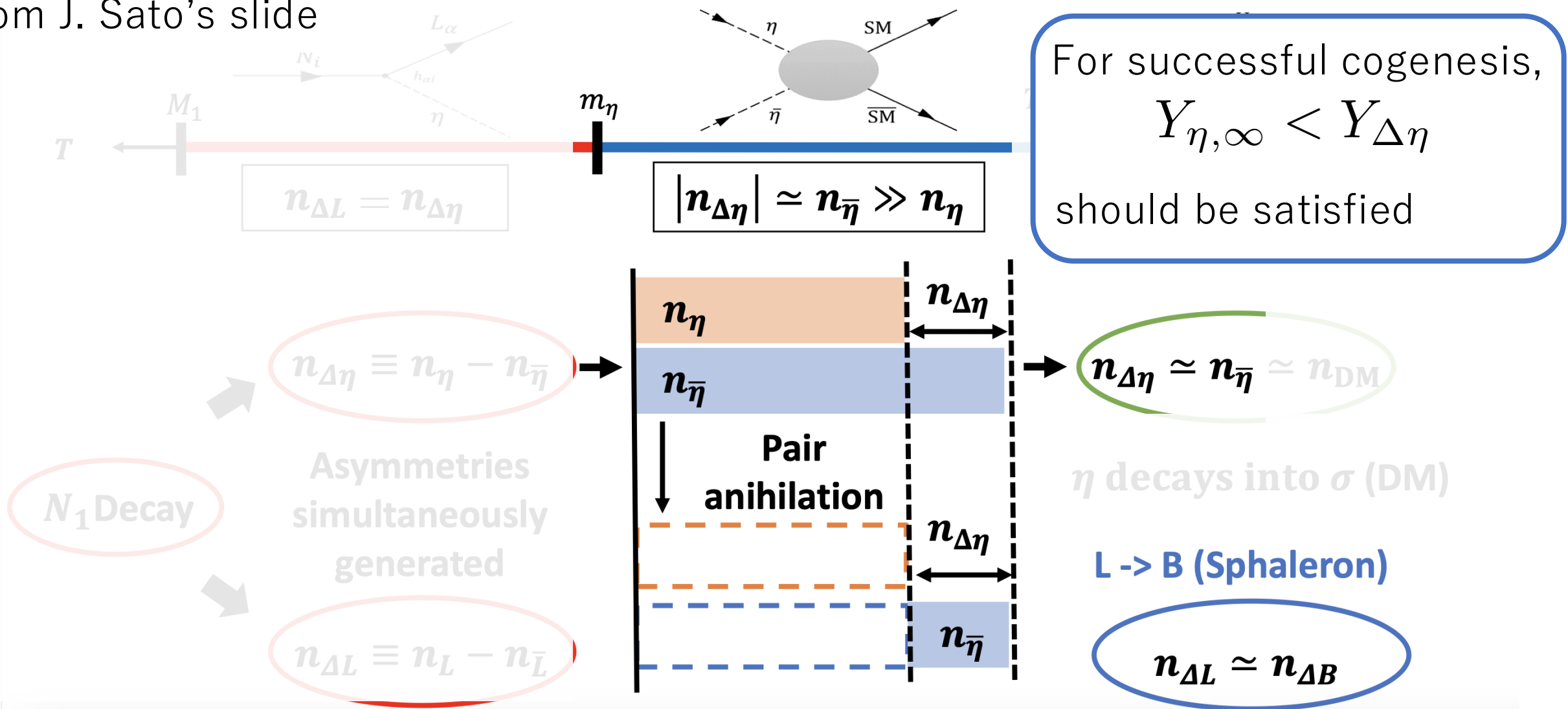
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Precise evaluation → **K. Asai**, S. Enomoto, T. Hirose, and M. Yamanaka, arXiv:[2512.14271](https://arxiv.org/abs/2512.14271)

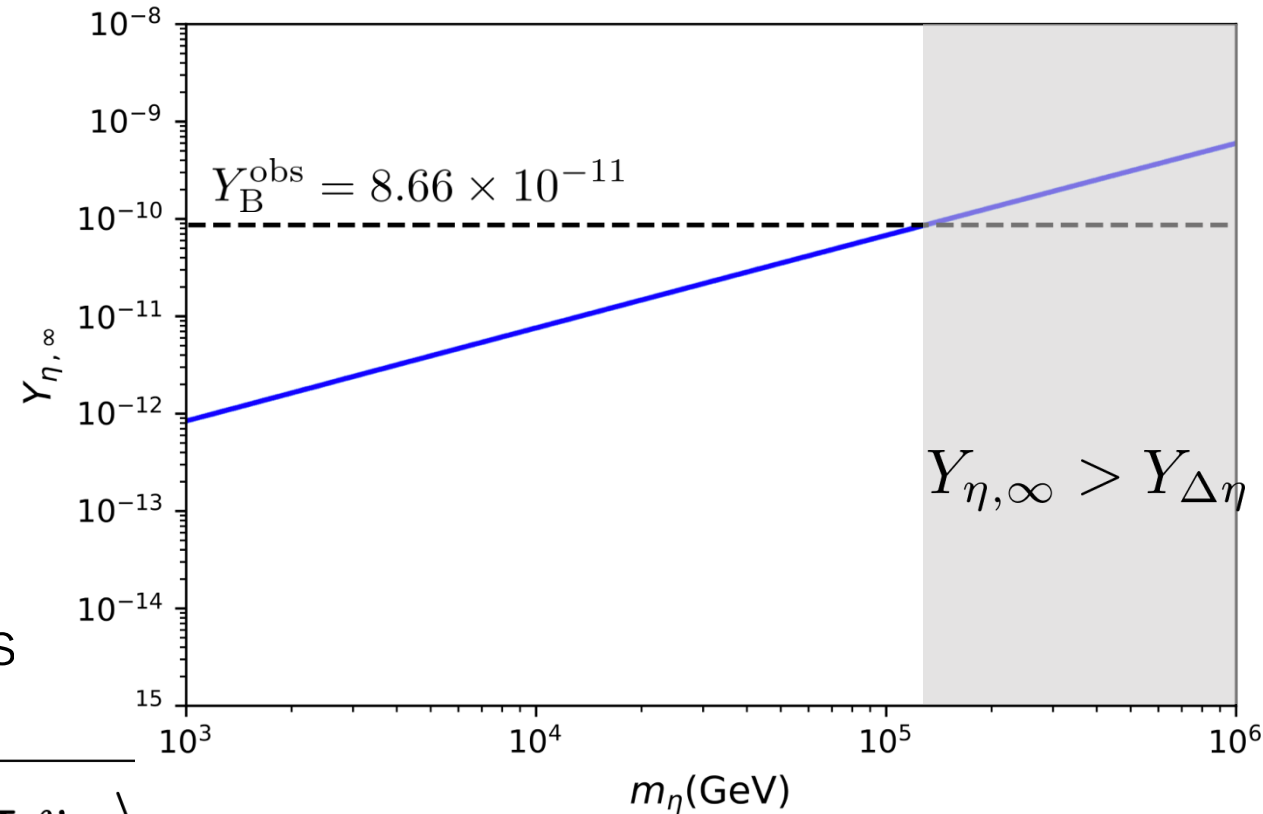
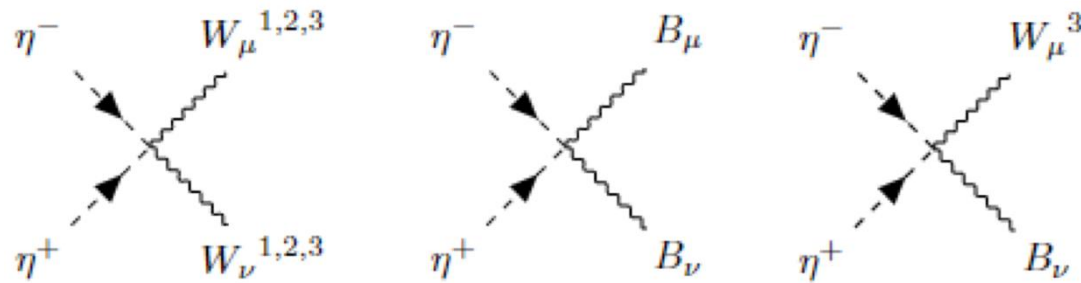
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# Mediator annihilation

Symmetric component of mediator should annihilate before decays into DM



## Relic density of $\eta$

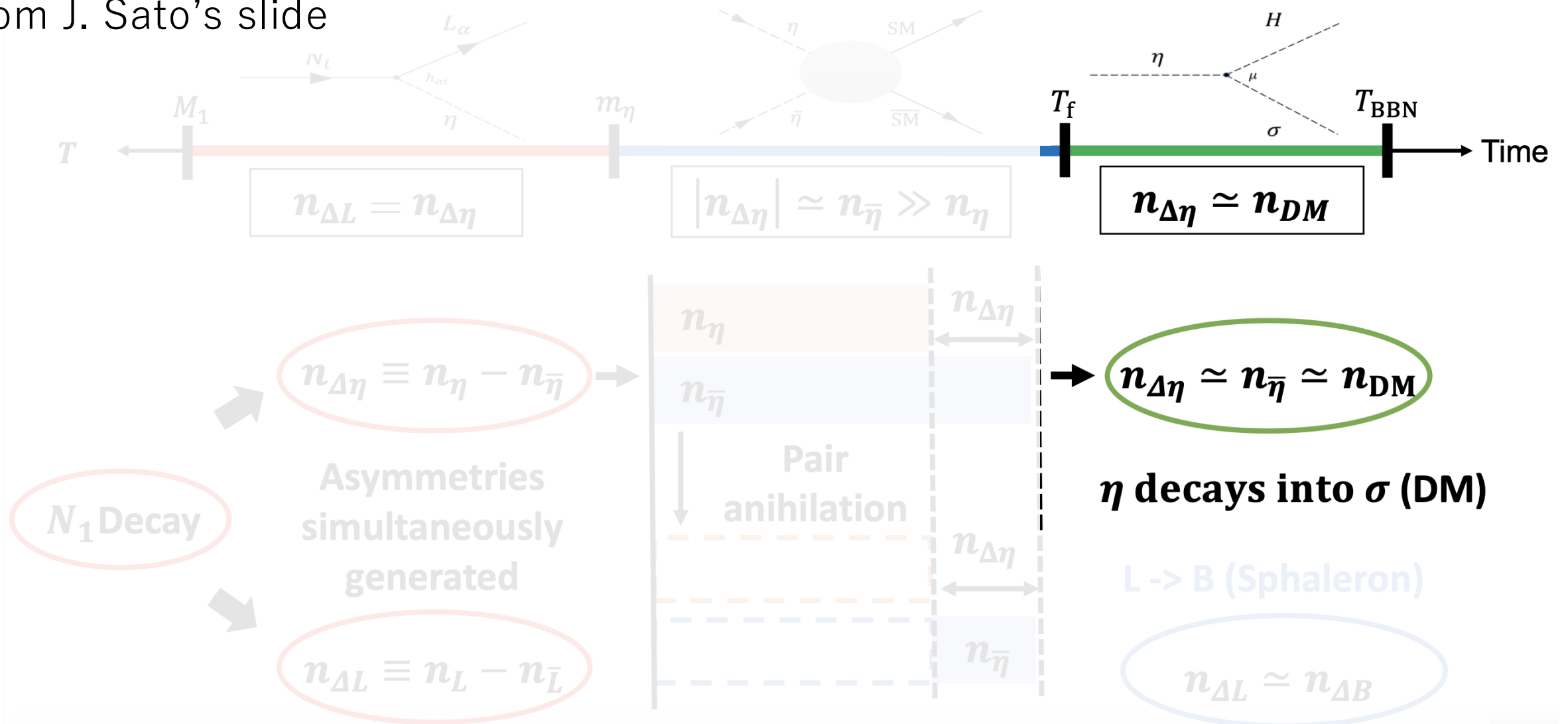
When only symmetric component exists

$$Y_{\eta,\infty} \equiv \frac{n_{\eta,\infty}}{s} = 2 \times \frac{3.80 x_f}{\left(g_{*s}/g_*^{1/2}\right) M_{\text{Pl}} m_\eta \langle \sigma_g v_{\text{rel}} \rangle}$$

$$\text{with } x_f \equiv \frac{m_\eta}{T_f} = \ln \left[ 0.038 \left(g/g_*^{1/2}\right) M_{\text{Pl}} m_\eta \langle \sigma_g v_{\text{rel}} \rangle \right] - \frac{1}{2} \ln \left\{ \ln \left[ 0.038 \left(g/g_*^{1/2}\right) M_{\text{Pl}} m_\eta \langle \sigma_g v_{\text{rel}} \rangle \right] \right\}$$

# Tales of Cogenesis

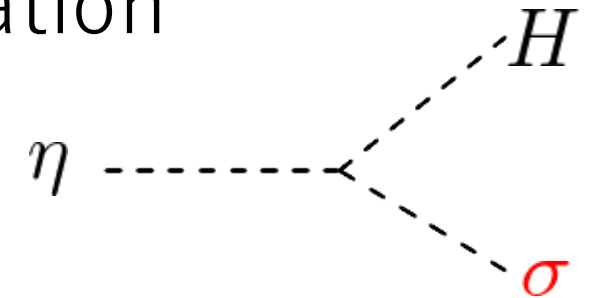
From J. Sato's slide



# DM production

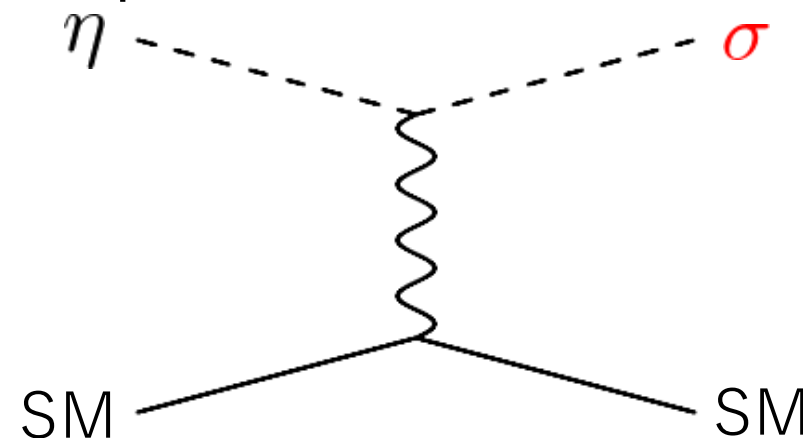
## Mediator decay

Mediator should decay into DM after annihilation of symmetric component



## Mediator scattering

Scattering between mediator & SM particle also produce DM



# Early-time decay

## Condition of mediator lifetime

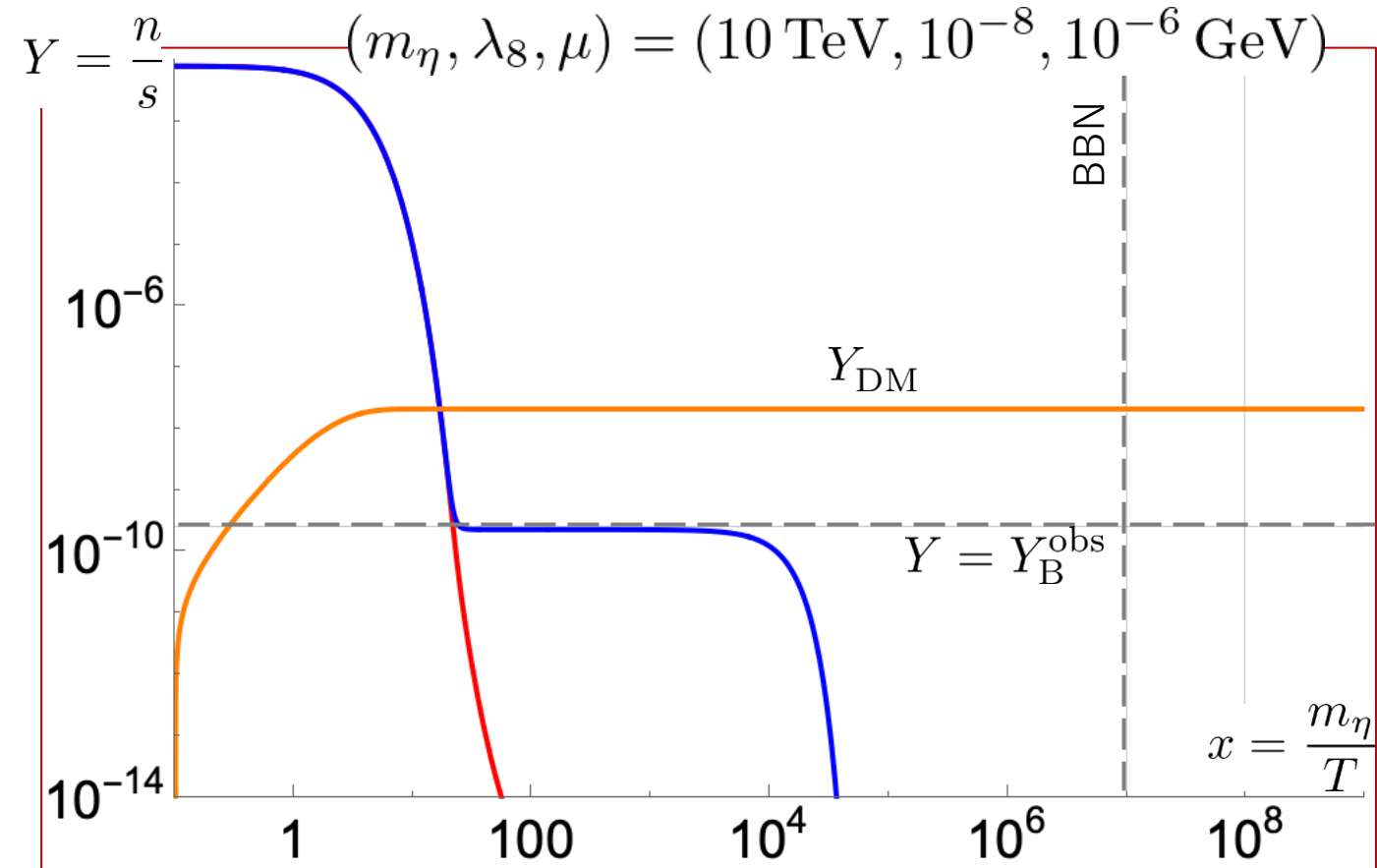
1, Decay should start after annihilation of symmetric component

Too short lifetime

→ Symmetric component also decays into DM

→  $|n_{\Delta\eta}| \ll n_\eta + n_{\eta^\dagger} \sim n_{\text{DM}}$

DM overabundance



# Late-time decay

## Condition of mediator lifetime

2, Decay should finish before big-bang nucleosynthesis

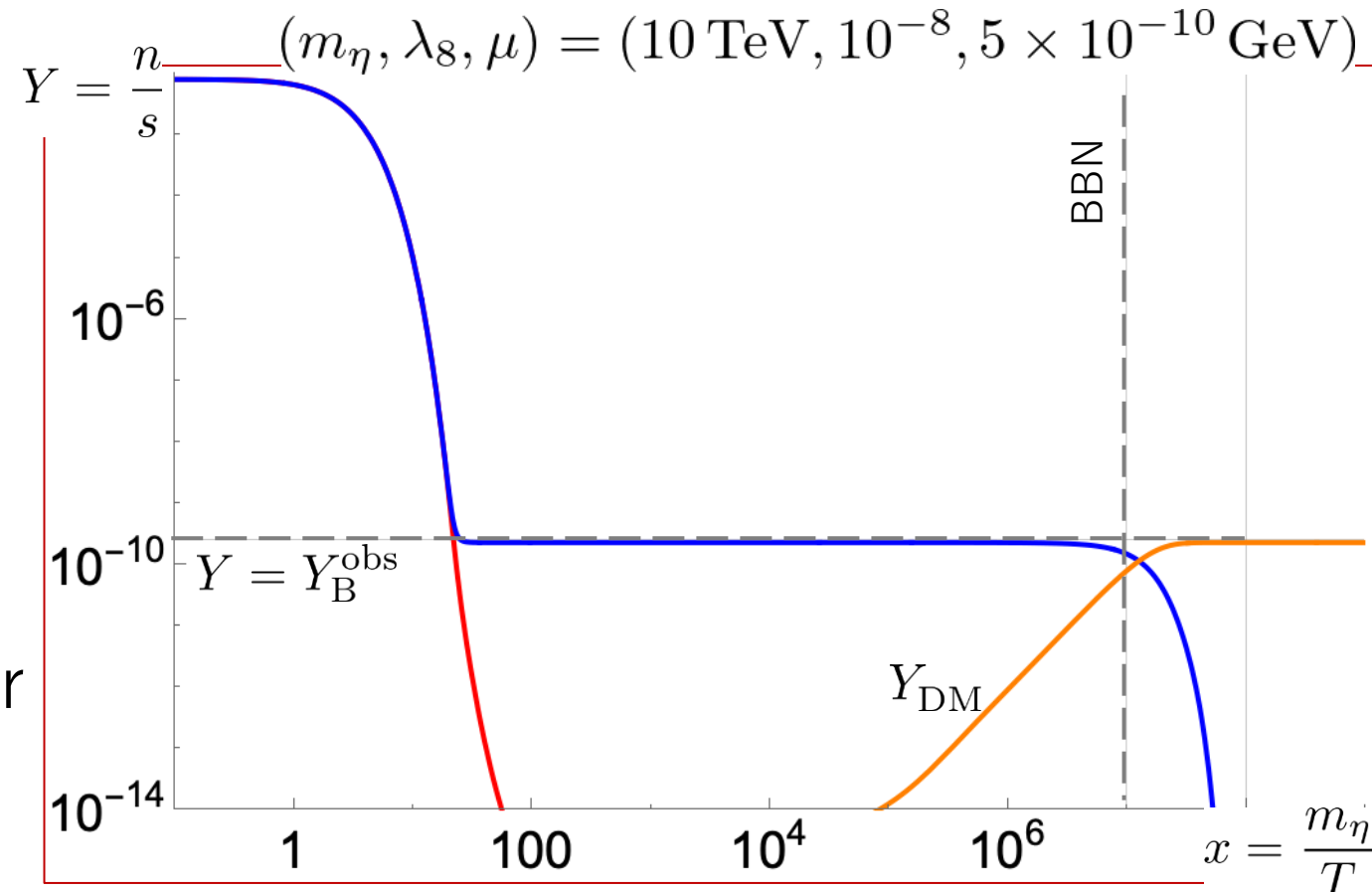
Too long lifetime

➔ Mediator decays into DM  
& SM particle

e.g.)  $\eta^+ \rightarrow W^+ + \sigma$ ,  $\eta_R^0 \rightarrow h + \sigma$

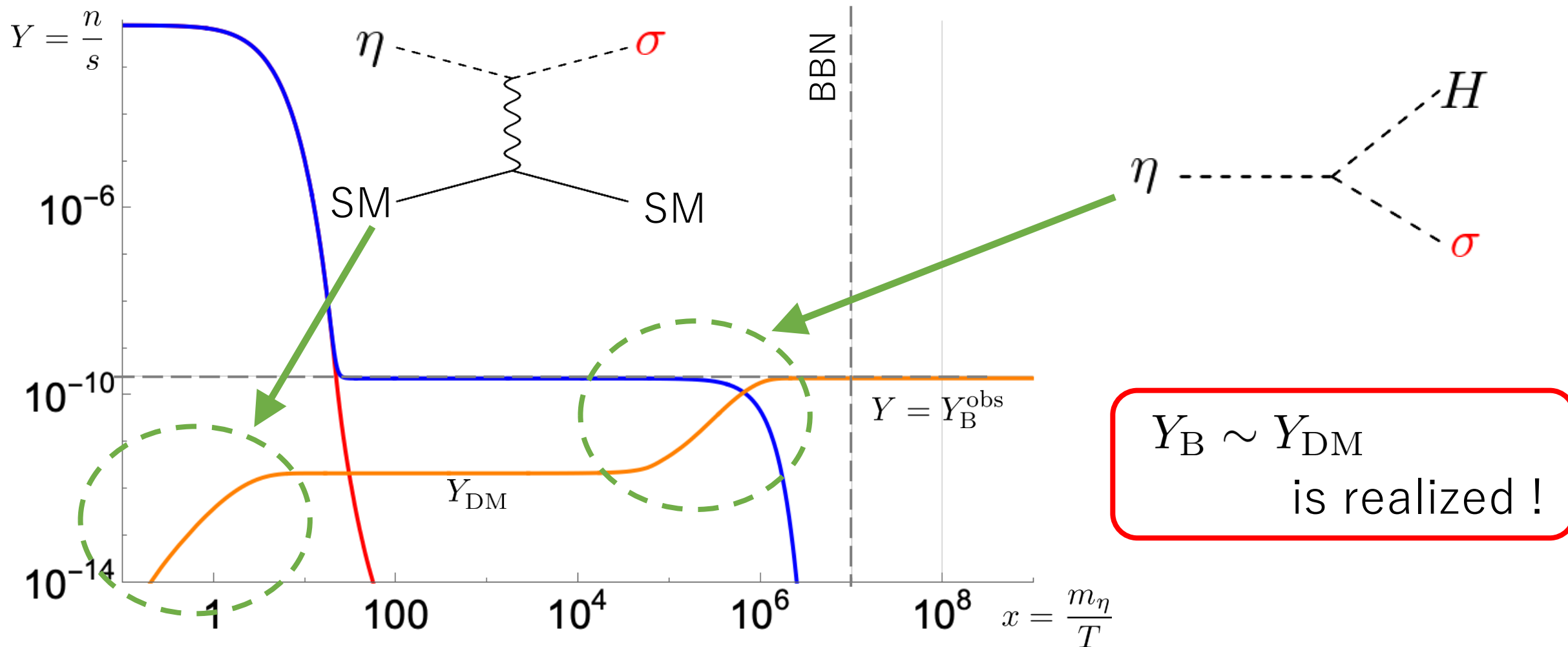
➔ SM particle decays create  
high energy hadronic shower

Failed BBN



# Successful cogeneration

$$(m_\eta, \lambda_8, \mu) = (10 \text{ TeV}, 10^{-8}, 10^{-8} \text{ GeV})$$



# Cosmological bounds

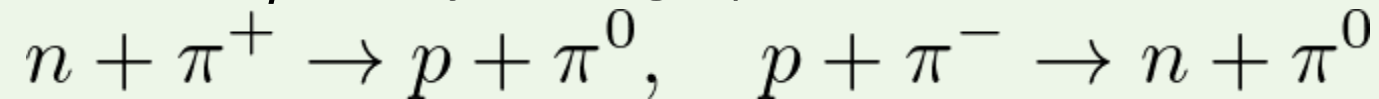
**K. Asai**, S. Enomoto, T. Hirose, and M. Yamanaka, arXiv:[2512.14271](https://arxiv.org/abs/2512.14271)

# BBN bound

Mediator decay during BBN spoils successful BBN through following three effects

① proton-neutron interconversion ( $\tau_\eta \lesssim 100 \text{ sec}$ )

Charged pions from  $\eta$  decay change proton-neutron ratio



② hadrodissociation ( $100 \text{ sec} \lesssim \tau_\eta \lesssim 10^{4-6} \text{ sec}$ )

Hadron particles from  $\eta$  decay break light elements

③ photodissociation ( $\tau_\eta \gtrsim 10^{4-6} \text{ sec}$ )

Low-energy photons from  $\eta$  decay break light elements

# BBN bound

## Pioneering work

[M. Kawasaki, K. Kohri, T. Moroi, PRD 71 \(2005\) 083502](#)

In early stage of BBN, bound on helium/baryon ratio  $Y_p$  is the most severe

observed value (old) :

$$Y_p^{\text{obs}}(\text{FO}) = 0.238 \pm (0.002)_{\text{stat}} \pm (0.005)_{\text{syst}} ,$$

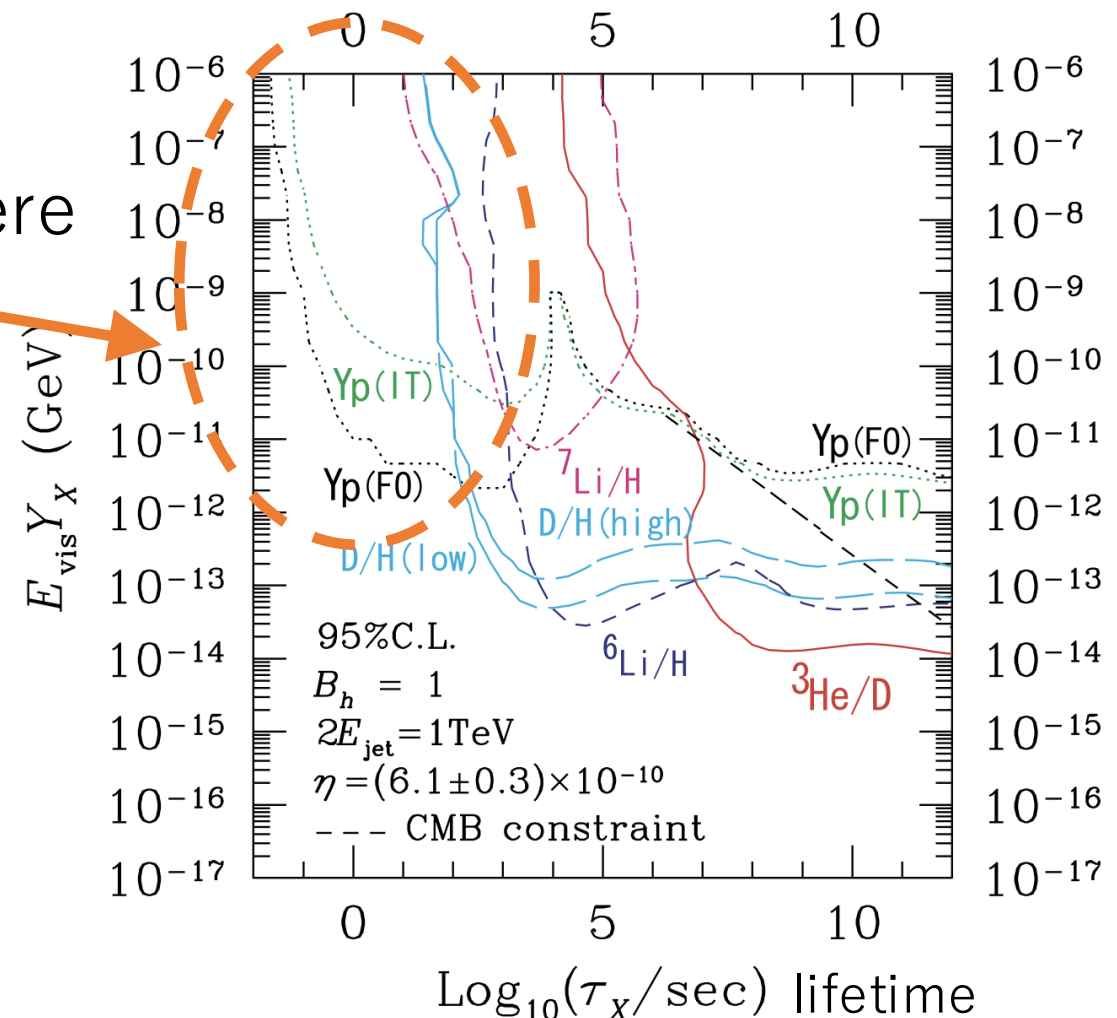
$$Y_p^{\text{obs}}(\text{IT}) = 0.242 \pm (0.002)_{\text{stat}} (\pm(0.005)_{\text{syst}})$$

observed value (current) :

$$Y_p^{\text{obs}}(\text{EMPRESS}) = 0.2370^{+0.0034}_{-0.0033}$$



We used FO's bound



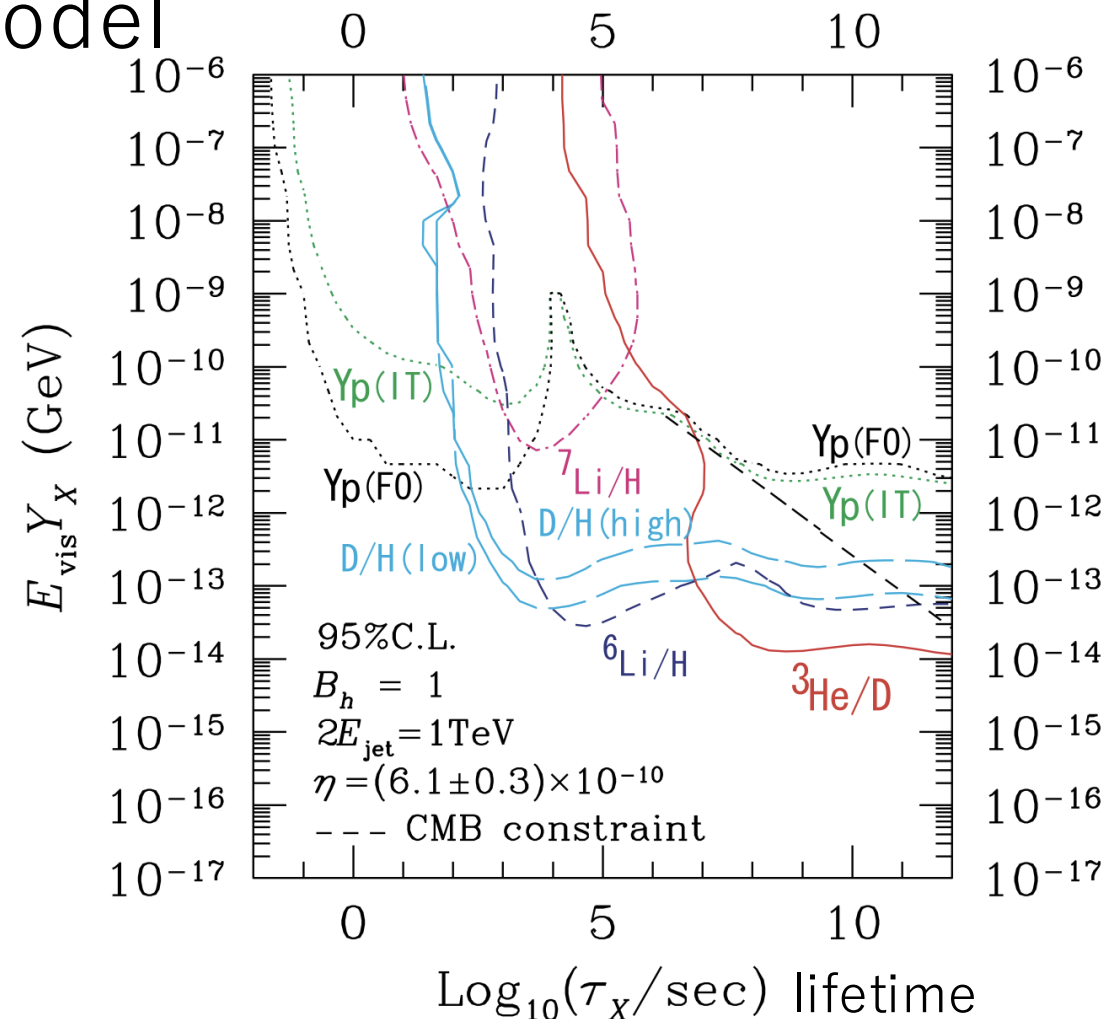
# Recasting BBN bound

## ○ Challenges in applying to our model

- bound plots are given for a few benchmark values of  $m_X$  &  $\text{Br}_{\text{hadron}}$
- evaluating  $\eta$ -decay effect on BBN is very difficult



We found simple recasting method to obtain BBN bound on long-lived particle



[M. Kawasaki, K. Kohri, T. Moroi, PRD 71 \(2005\) 083502](#)

# Recasting BBN bound

## ○ Equality-time

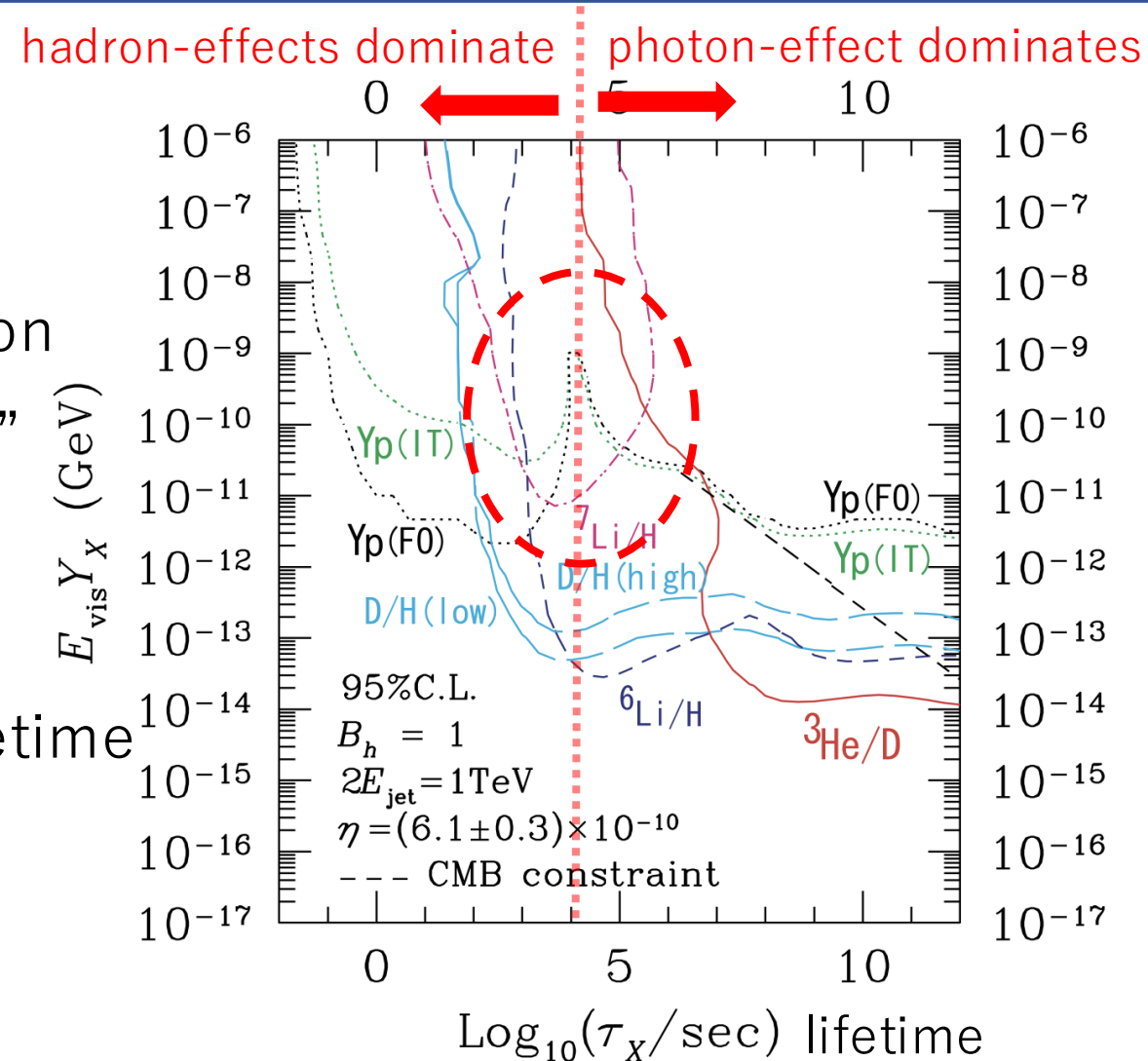
We define equality-time  $t_{\text{eq}}$  as the time at which the contributions of “pn-interconversion + hadrodissociation” and “photodissociation” become comparable



Equality-time can be determined from the lifetime at which the bound curve locally weakens

$$\underline{t_{\text{eq}}[Y_p(\text{FO})]} = 10^4 \text{ s}, \quad t_{\text{eq}}[\text{D}/\text{H}(\text{low})] = 10^8 \text{ s},$$

$$t_{\text{eq}}[{}^6\text{Li}/\text{H}] = 10^8 \text{ s}$$



[M. Kawasaki, K. Kohri, T. Moroi, PRD 71 \(2005\) 083502](#)

# Recasting BBN bound

○  $t > t_{\text{eq}}$  (photon-effect dominated era)

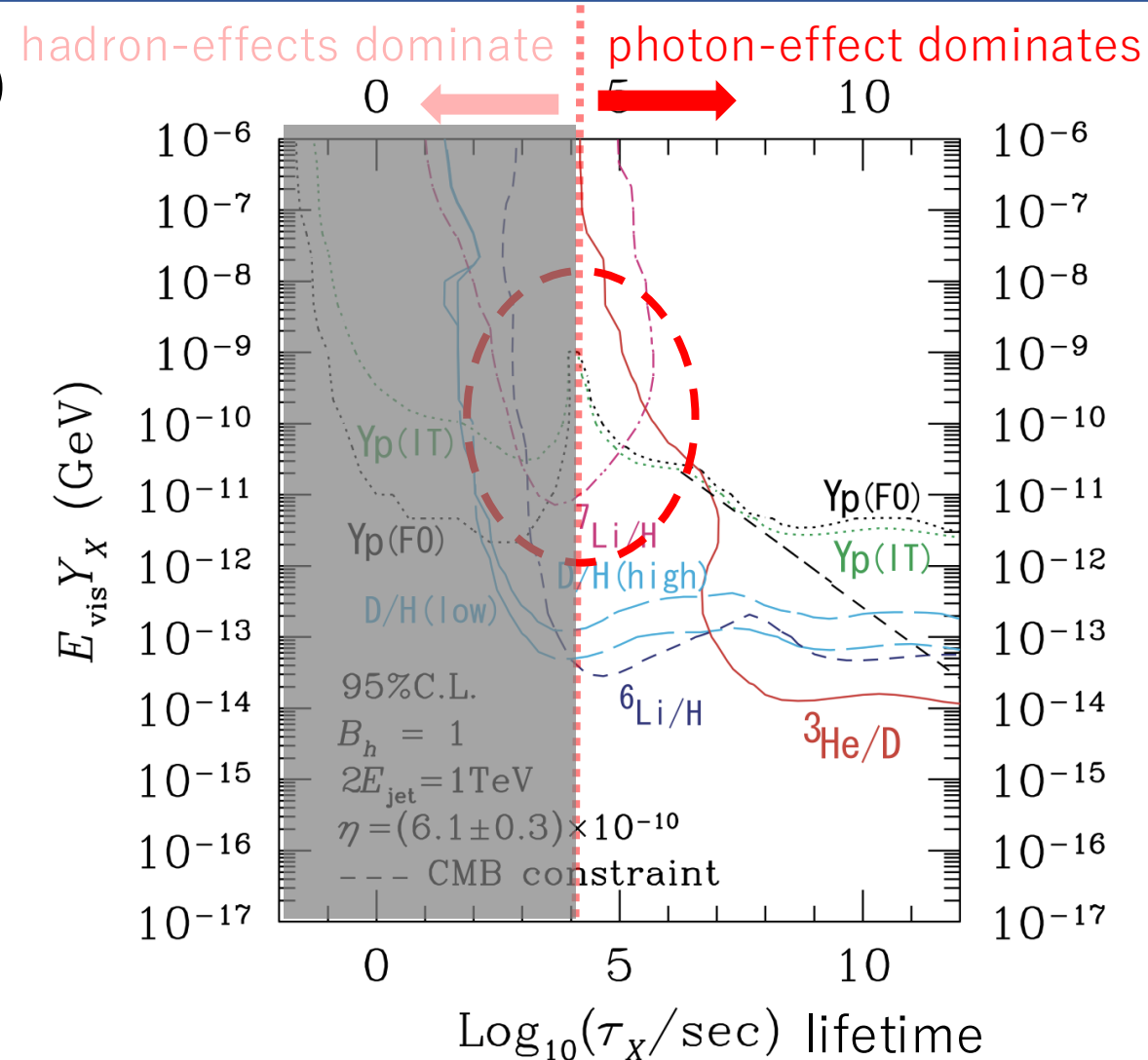
Strength of bounds is

- independent of  $\text{BR}_{\text{had}}$
- proportional to energy emitted from  $\eta$ -decay (mass of  $\eta$ )



$$(Y_\eta)_{\text{our}} < 2 \times 10^{-3} \left( \frac{m_\eta}{1 \text{ TeV}} \right)^{-1} \frac{(E_{\text{vis}} Y_X)_{\text{KKM}}^{\text{upper bound}}}{\text{GeV}}$$

with:  $Y_\eta \equiv Y_{\eta^+} + Y_{\eta^-} + Y_{\eta^0} + Y_{\eta^{0*}}$



[M. Kawasaki, K. Kohri, T. Moroi, PRD 71 \(2005\) 083502](#)

# Recasting BBN bound

○  $t < t_{\text{eq}}$  (hadron-effects dominated era)

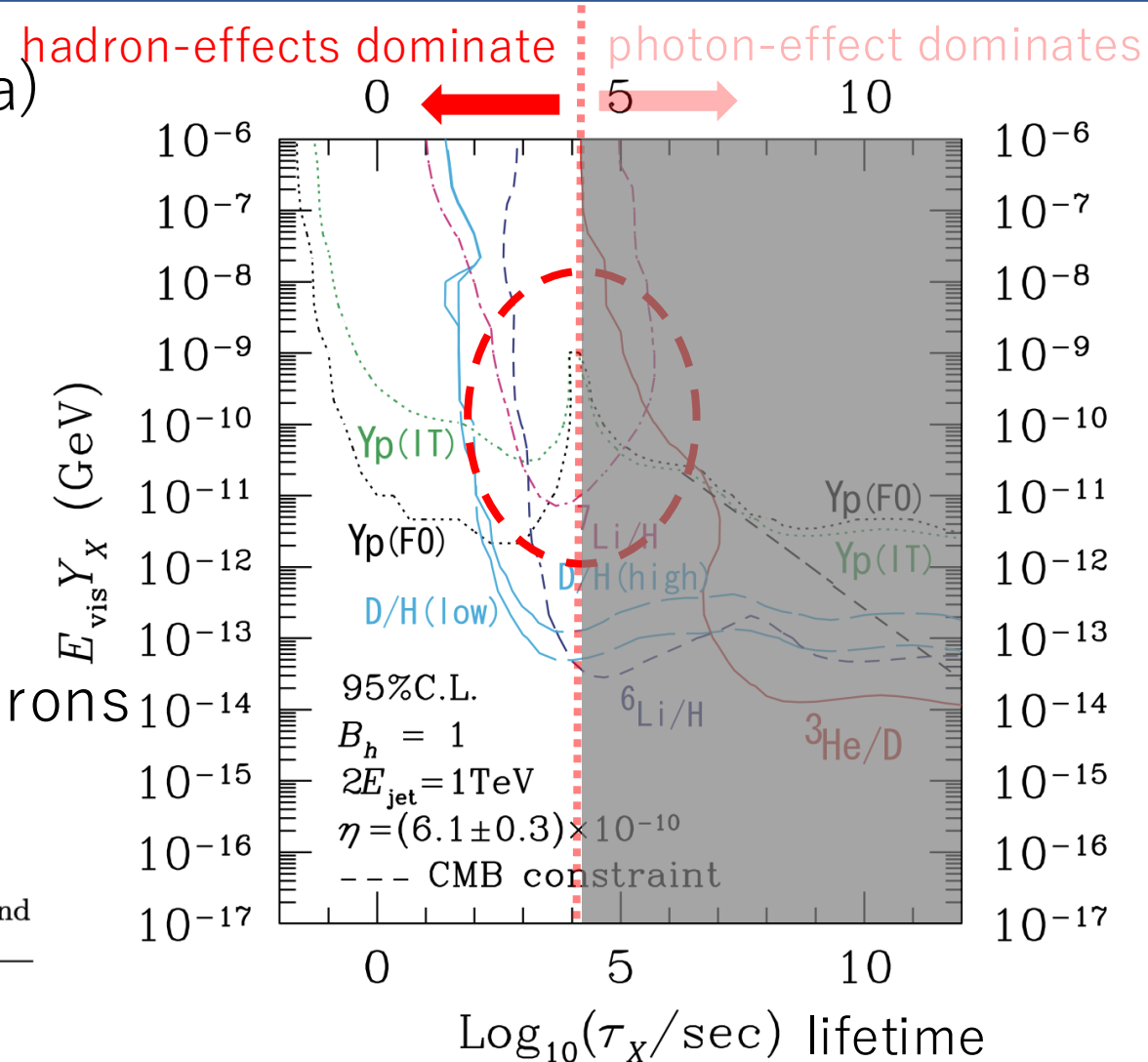
Strength of bounds is proportional to # of hadrons from  $\eta$ -decay, which is

- proportional to  $\text{BR}_{\text{had}}$
- proportional to  $(E_{\text{had}}^\eta)^{0.3}$

with  $E_{\text{had}}^\eta$  being energy converted into hadrons



$$(Y_\eta)_{\text{our}}^{\text{upper bound}} = 2 \times 10^{-3} \left( \frac{m_\eta}{1 \text{ TeV}} \right)^{-1} \left( \frac{E_{\text{had}}^\eta}{1 \text{ TeV}} \right)^{-\delta} \frac{(E_{\text{vis}} Y_X)_{\text{KKM}}^{\text{upper bound}}}{\text{GeV}}$$



[M. Kawasaki, K. Kohri, T. Moroi, PRD 71 \(2005\) 083502](#)

# Structure formation bound

Too late-time  $\eta$ -decay derives DM with large momentum during structure formation era

➔ DM erases small-scale structure below free-streaming length

... physical distance that particles can travel without colliding

$$\lambda_{\text{FS}} = \int_{a_D}^{a_{\text{eq}}} da \frac{v_\sigma(a)}{a^2 H(a)} \sim \frac{a_{\text{NR}}}{H_0 \sqrt{\Omega_{r0}} a_0^2} \left( 1 - \frac{a_D}{a_{\text{NR}}} + \ln \frac{a_{\text{eq}}}{a_{\text{NR}}} \right)$$
$$\sim 4.85 \text{ kpc} \times F(m_\eta, \mu) (11.2 - \ln F(m_\eta, \mu))$$
$$\text{with } F(m_\eta, \mu) = \left( \frac{m_\eta}{1 \text{ TeV}} \right)^{3/2} \frac{10^{-9} \text{ GeV}}{\mu}$$

# Structure formation bound

○ Constraints on free-streaming length

(1) typical intergalactic distance is 1 Mpc

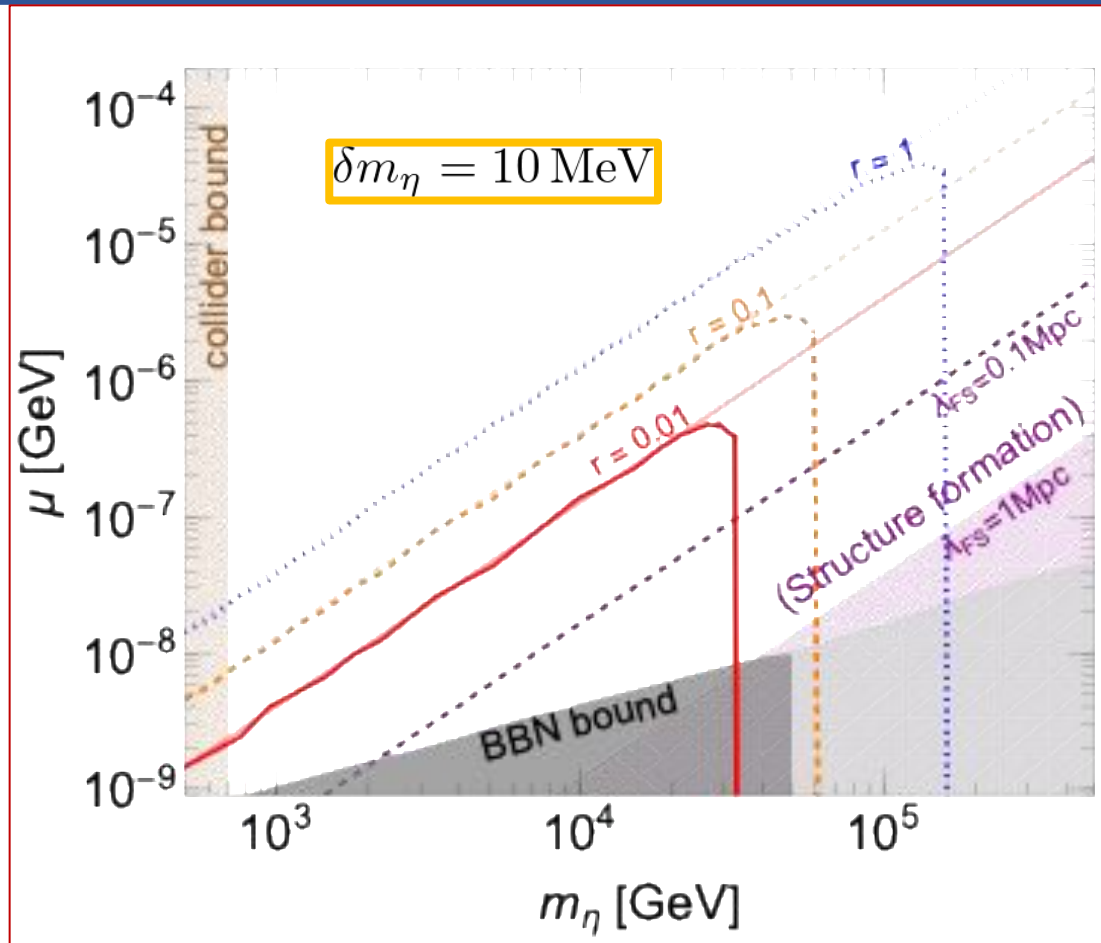
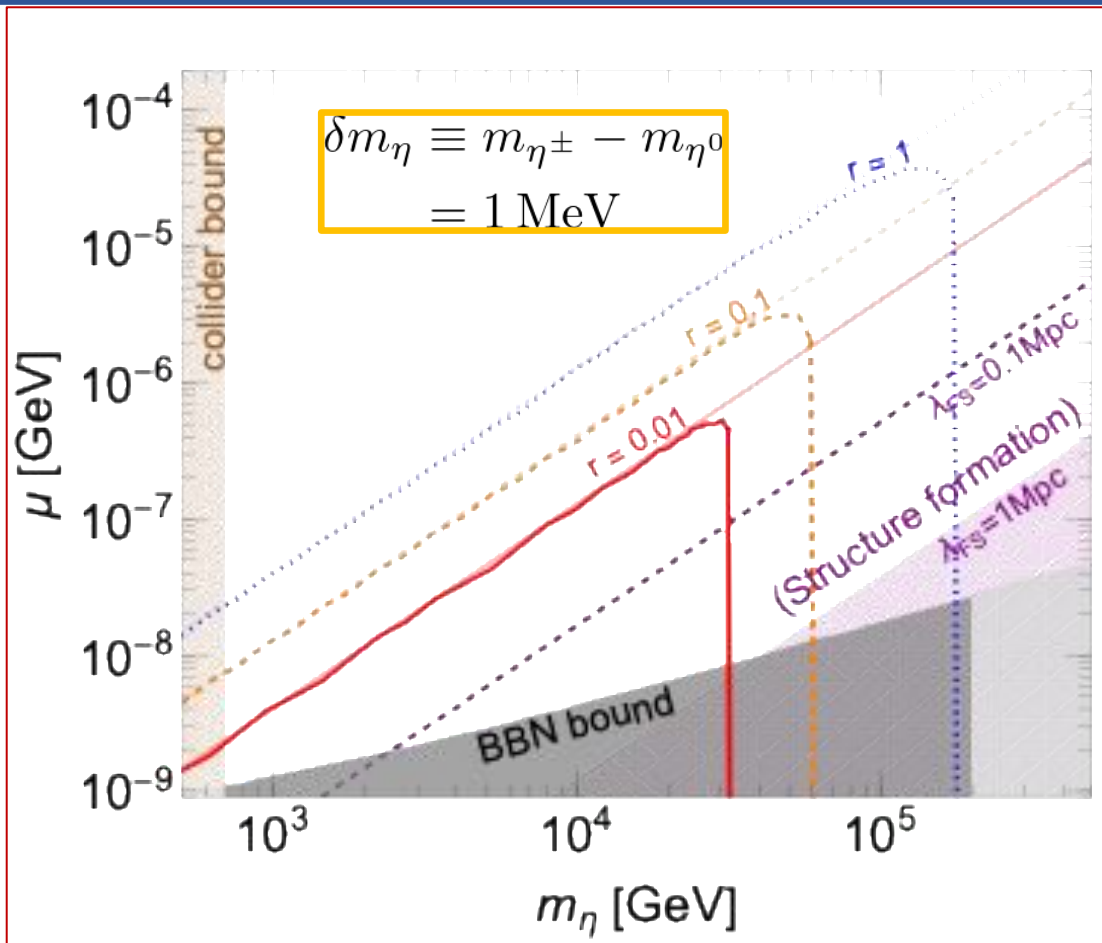
$\lambda_{\text{FS}} > 1 \text{ Mpc}$   DM inhibits large scale structure formation

(2) cut-off scale of matter power spectrum of Lyman- $\alpha$  observation at redshift is  $\mathcal{O}(1) \text{ Mpc}$  or  $0.1 \text{ Mpc}$

$\lambda_{\text{FS}} > 0.1 - 1 \text{ Mpc}$   DM erase small scale

# Result

coincidence index  
 $r \equiv (Y_\sigma - Y_{\Delta L})/Y_{\Delta L}$



Viable parameter region is bounded by collider (light  $m_\eta$ ) and cosmology (heavy  $m_\eta$  & small  $\mu$ )

# Summary

- We have studied a scotogenic model with a singlet scalar and explored a possibility of realization of cogenesis.
- Asymmetries of B-L and dark sector are generated by common process and mediator asymmetry is converted into DM
- We have evaluated cosmological bounds (BBN bound & structure formation) and found viable parameter region for successful scenario

Thank you for your attention !

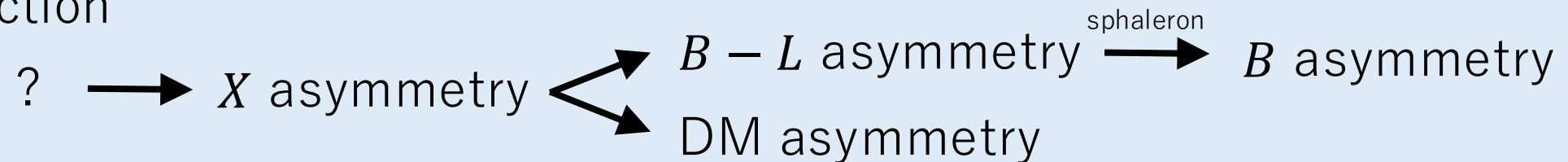
# Appendix

# Asymmetric DM

How does  $\eta_{\text{DM}} \sim \eta_{\text{B}}$  realize ?

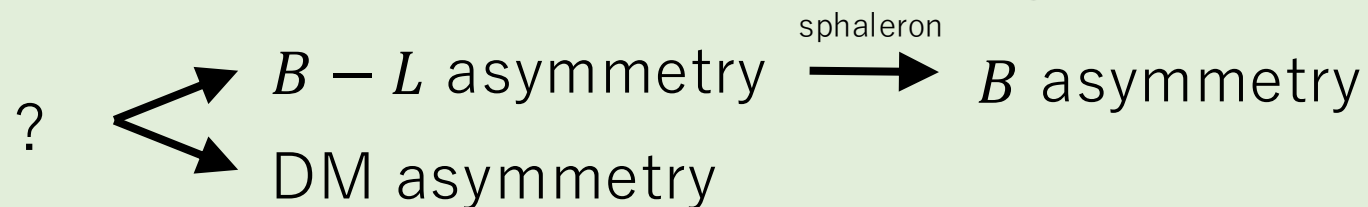
## Sharing mechanism

Primordial asymmetry is shared by SM and DM sectors through portal interaction



## Cogenesis

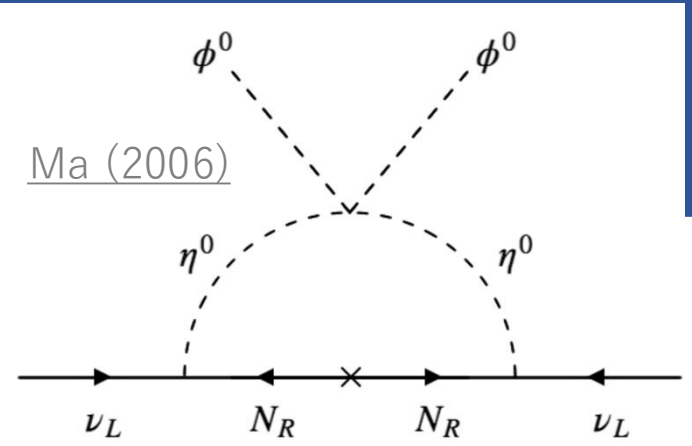
Asymmetries in SM and DM sectors are generated through same process



➡ We have focused on this mechanism

# Scotogenic model

Neutrino mass is generated by one-loop diagram



$$(\mathcal{M})_{\alpha\beta} = \sum_i \frac{h_{\alpha i} h_{\beta i} M_i}{16\pi^2} \left[ \frac{m_R^2}{m_R^2 - M_i^2} \ln \frac{m_R^2}{M_i^2} - \frac{m_I^2}{m_I^2 - M_i^2} \ln \frac{m_I^2}{M_i^2} \right]$$

For  $M_i^2 \gg m_R^2 \simeq m_I^2$ ,

$$(\mathcal{M})_{\alpha\beta} \simeq \frac{\lambda_8 v^2}{8\pi^2} \sum_i \frac{h_{\alpha i} h_{\beta i}}{M_i} \left[ \ln \frac{M_i^2}{m_0^2} - 1 \right]$$

where  $m_0^2 \equiv (m_R^2 + m_I^2)/\sqrt{2}$

Neutrino mass is proportional to coefficient of  $U(1)_L$ -breaking term

$$\frac{1}{2} \lambda_8 [(\phi^\dagger \eta)^2 + h.c.]$$

## Davidson-Ibarra bound

Davidson, Ibarra (2002)

Thermal leptogenesis

& neutrino mass

$$M_1 > 10^{8-9} \text{ GeV}$$

Yukawa coupling can be large

Davidson-Ibarra bound is alleviated by  $\lambda_8$

# Neutrino mass

## Mass matrix

Hugle, Platscher, Schmitz (2018)

$$\mathcal{M}_\nu = h^* \mathcal{D}_\Lambda^{-1} h^\dagger, \quad (\mathcal{D}_\Lambda)_{ii} = \frac{2\pi^2}{\lambda_8} \xi_i \frac{2M_i}{v^2} \equiv \Lambda_i$$

with

$$\xi_i \equiv \left\{ \frac{1}{8} \frac{M_i^2}{m_{\eta_R}^2 - m_{\eta_I}^2} \left( \frac{m_{\eta_R}^2}{m_{\eta_R}^2 - M_i^2} \ln \frac{m_{\eta_R}^2}{M_i^2} - \frac{m_{\eta_I}^2}{m_{\eta_I}^2 - M_i^2} \ln \frac{m_{\eta_I}^2}{M_i^2} \right) \right\}^{-1}$$
$$\approx \frac{8}{[\ln(M_i^2/m_0^2) - 1]} \quad \text{for } \lambda_8 v^2 \ll m_\eta^2 \text{ and } m_\eta \ll M_i$$

## Casas-Ibarra parametrization

Casas, Ibarra (2001)

$$h_{\alpha i} = \left( U D_\nu^{\frac{1}{2}} R^\dagger D_\Lambda^{\frac{1}{2}} \right)_{\alpha i}$$

where  $D_\nu \equiv \text{diag}(m_1, m_2, m_3)$

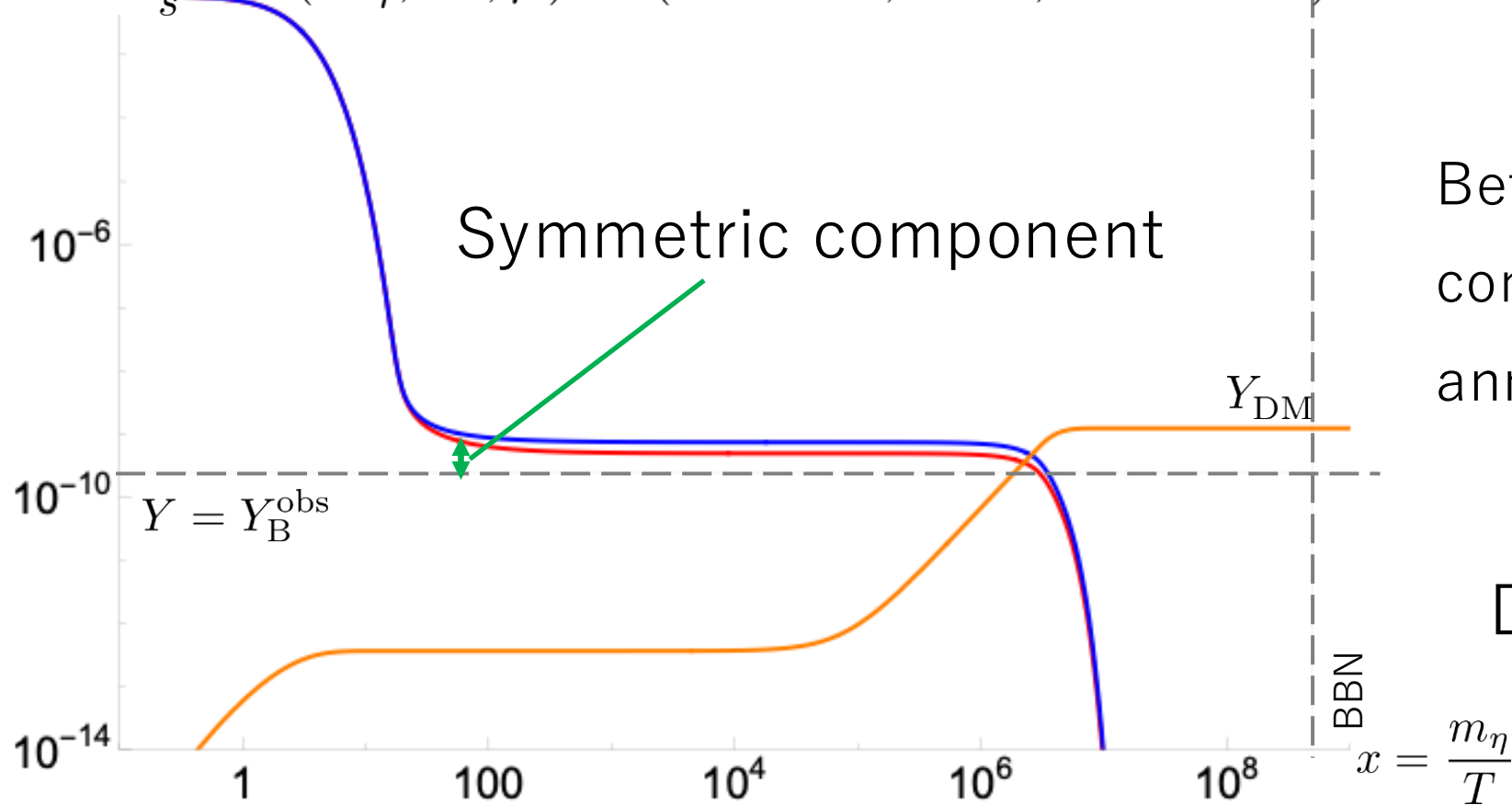
arbitrary complex orthogonal matrix :  $R$  ( $RR^T = 1$ )

PMNS unitary matrix :  $U$  ( $UU^\dagger = 1$ )

# Mediator annihilation

If  $m_\eta > 10^5 \text{ GeV}$ ,

$$Y = \frac{n}{s} \quad (m_\eta, \lambda_8, \mu) = (500 \text{ TeV}, 10^{-8}, 10^{-6} \text{ GeV})$$



Before symmetric component completely annihilate, annihilation process freeze-out



DM overabundance