

London, 2nd September 2026



**University of
Zurich^{UZH}**

DRD5

Towards a superconductive luminometer for FCC

SD4HEP – **S**uperconductive **D**etectors **4** **H**igh **E**nergy **P**hysics



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(students in red)

1: University of Zurich

2: CERN

CMi

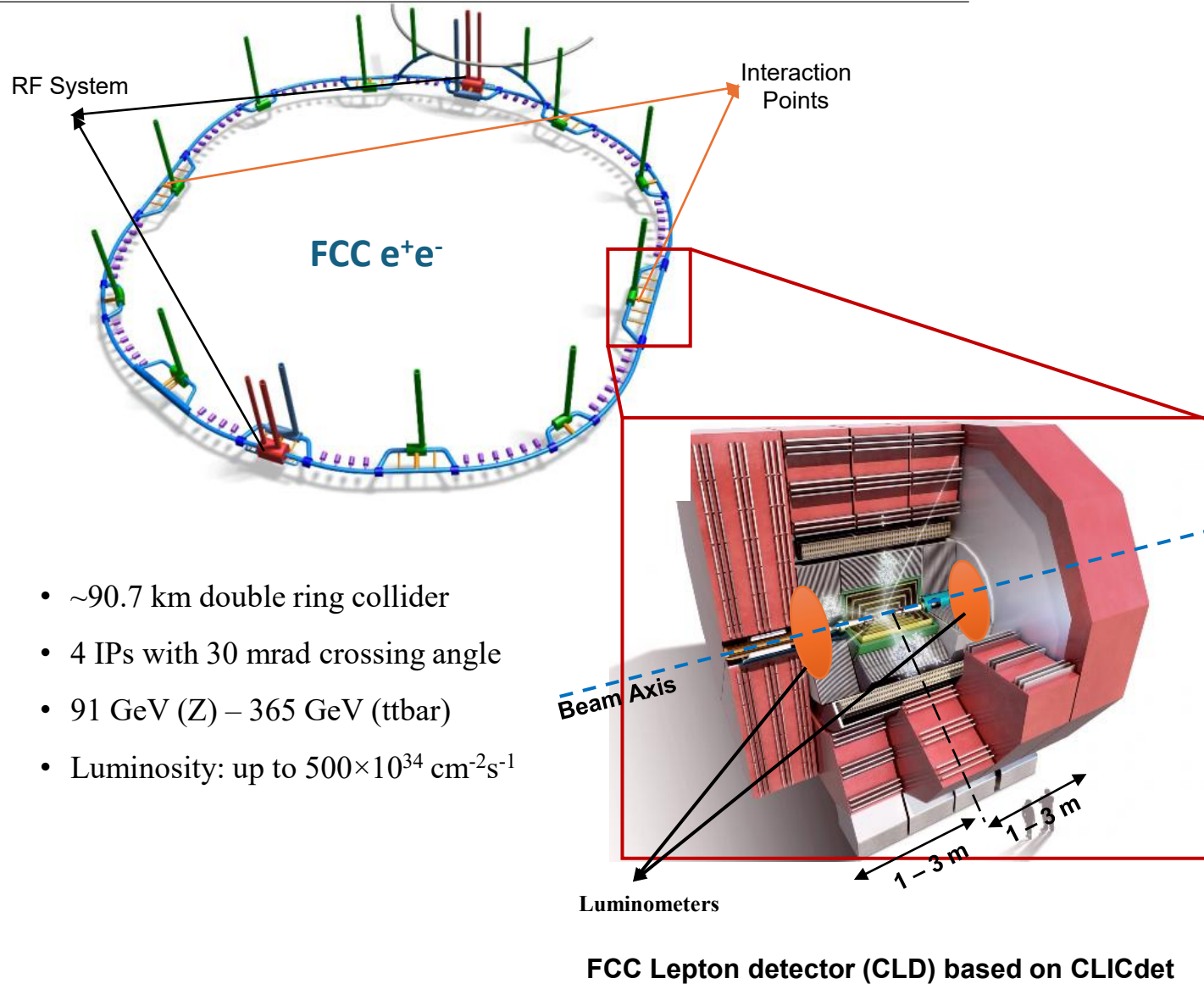


VTT Technical Research
Centre of Finland



Warsaw University of
Technology

• Introduction and Scope



SN-SPDs based Luminometer

- ✓ Sub-per mill resolution through small angle Bhabha scattering

$$\sigma = \frac{16\pi\alpha^2}{s} \left(\frac{1}{\theta_{\min}^2} - \frac{1}{\theta_{\max}^2} \right)$$

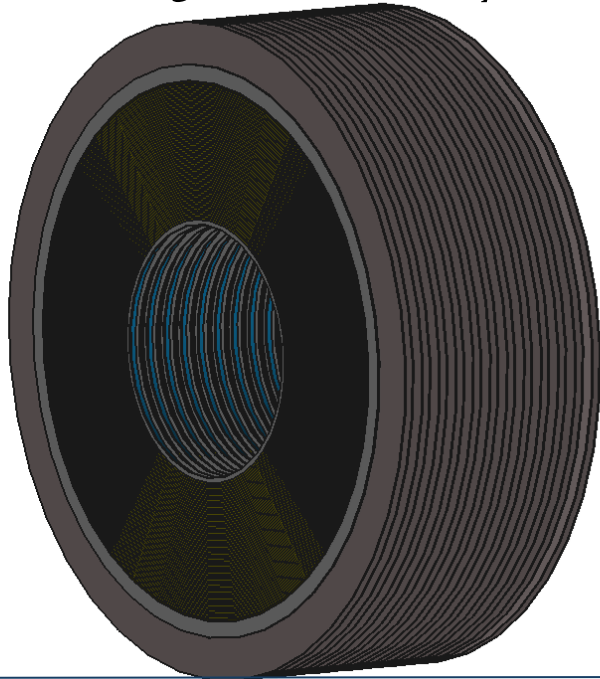
- ✓ Goal of 10^{-4} precision on absolute luminosity
- ✓ Readout at Bunch-crossing rates with $< 20\text{ns}$ shaping time
- ✓ 1.5 MGray dose at Z pole
- ✓ Pile-up $\sim 1\text{E-}3$ / event
- ✓ $\sigma(\text{Z}) \sim 40\text{nb}$, $\sigma(\text{Bhabha}) \sim 14 \text{ nb}$

Current project:

- *Develop NbN and NbTiN processing and transition towards MgB₂*
- *Explore physical mechanisms integrating acoustic (ballistic) phonon detection and lower effective detection threshold*
- *Test different widths of nano-wire to characterise high-rate capability and recovery time*

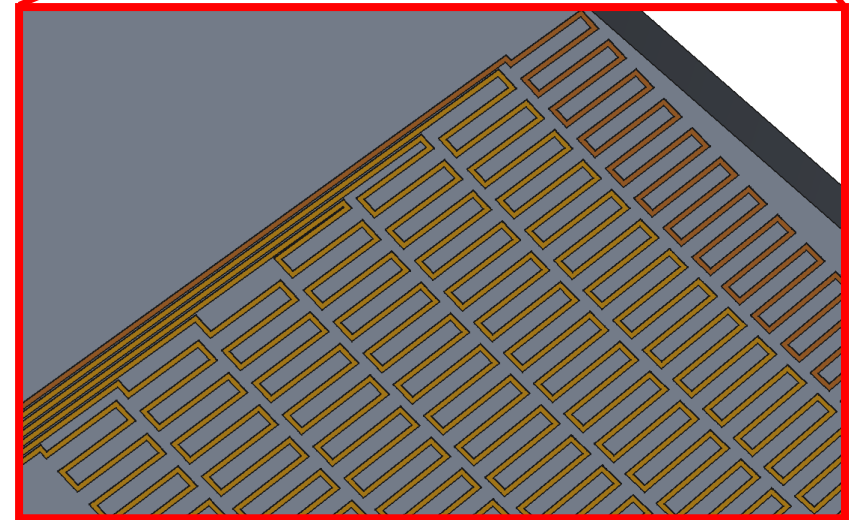
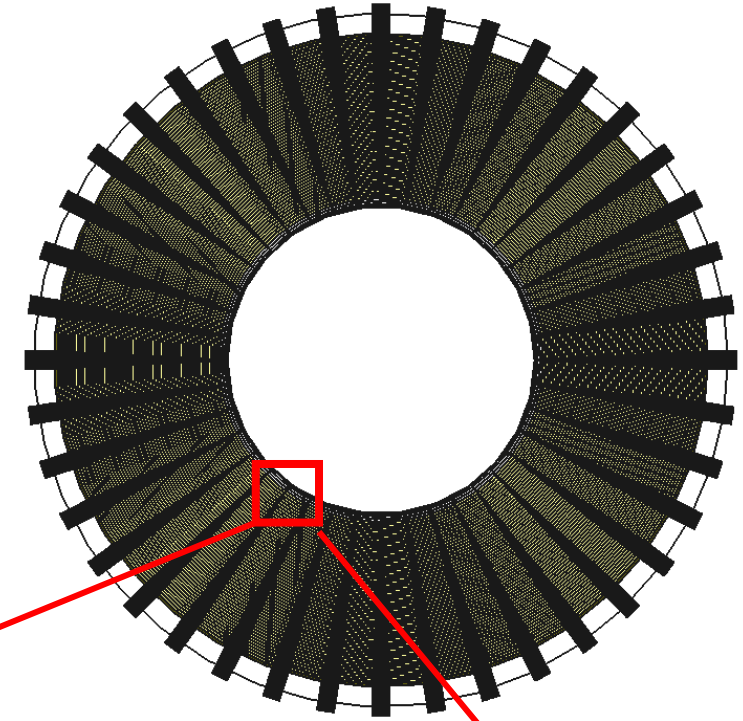
•Introduction: Luminometer design

- 20 X 12" single wafers, 2 wafer per layer
- Sensors arranged in Tracks and Sectors
- 60 X 1 mm wide tracks spanning the perimeter of wafer from 54 mm to 114 mm
- 1 X Alignment track at the outer edge, $R = 115$ mm
- 40 Sectors, each with 9° angular coverage
- Radial readout corridors between sectors, 1 mm wide
- Readout region is inherently active as nanowire extends to the periphery of the wafer



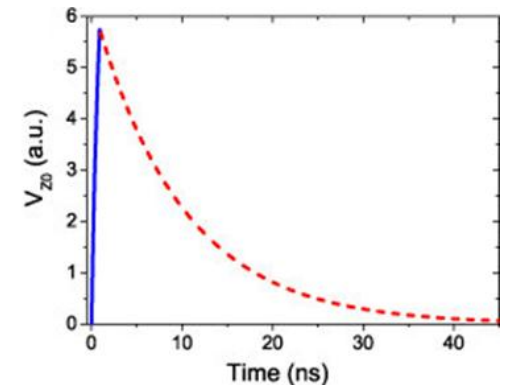
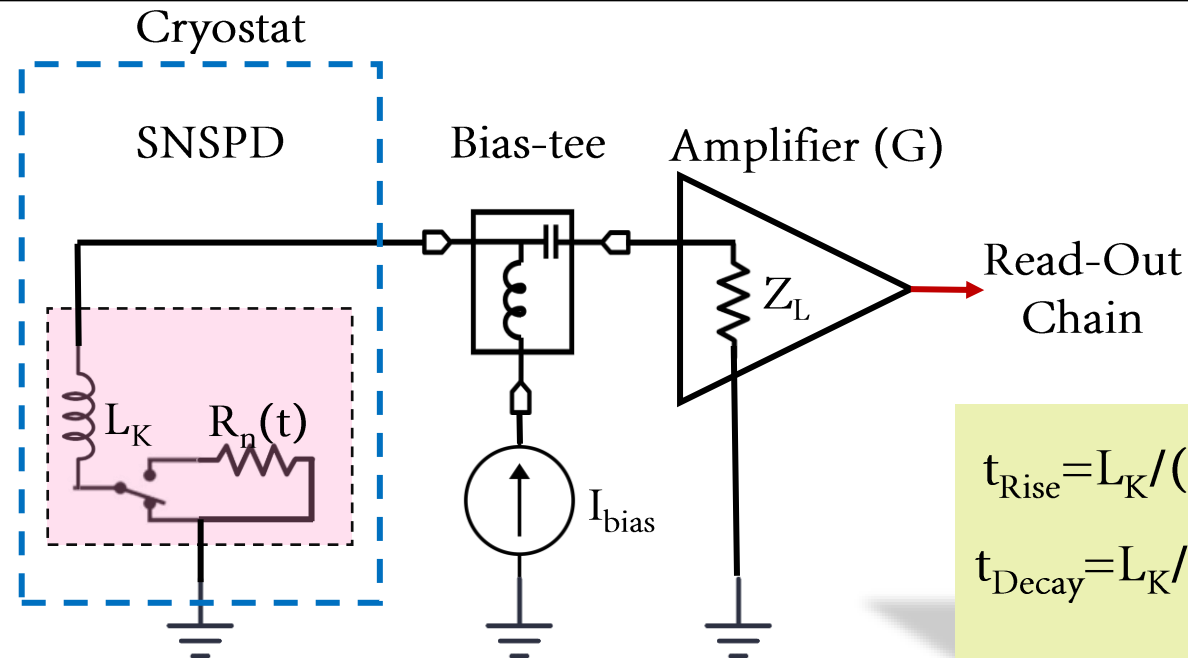
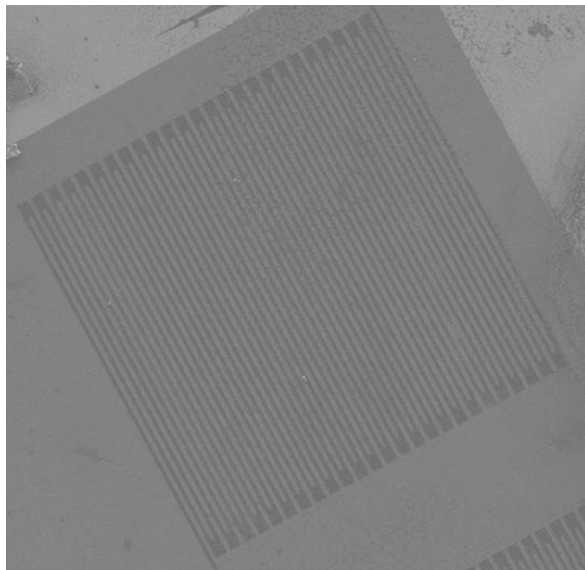
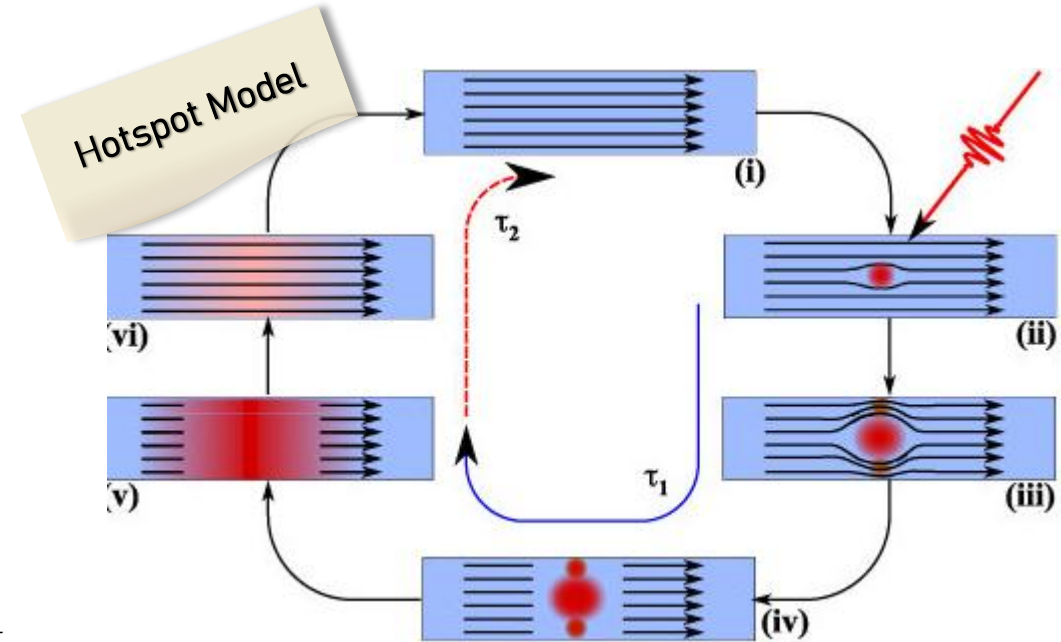
**Sensor geometry: 100 % Fill
Factor in multilevel staggered
process**

**200 nm wide MgB_2 Film, 2 μm
thickness**



•Superconductive Nanowire SPD

- ultrathin, ~ 100 -nm-wide superconducting strip on Si /SiN /SiC /sapphire/ diamond / substrate
- Current biased at a few K, operated just below it's transition point
- Single photon triggers brief resistive state, high efficiency at telecom bands, picosecond-scale timing, and ultra-low dark counts
- Absorbed photon locally breaks Cooper pairs forming nonequilibrium quasiparticle
- Current crowds around hotspot, exceeding the despairing current, resistive belt



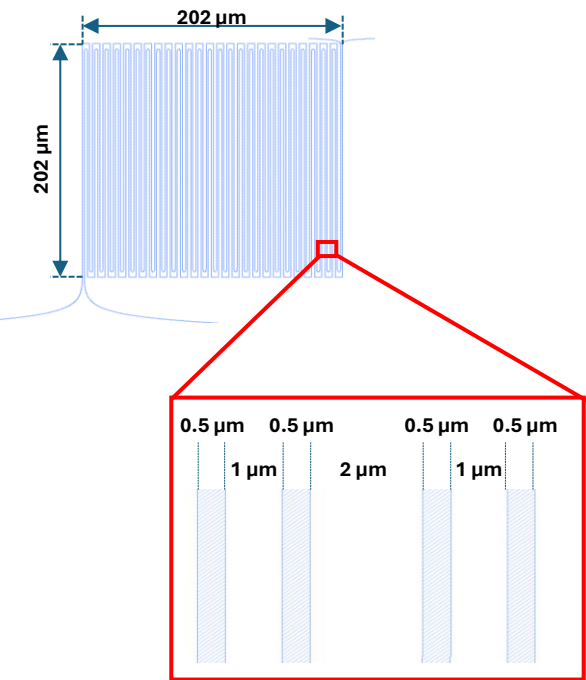
$$t_{\text{Rise}} = L_K / (Z_L + R_n(t))$$

$$t_{\text{Decay}} = L_K / Z_L$$

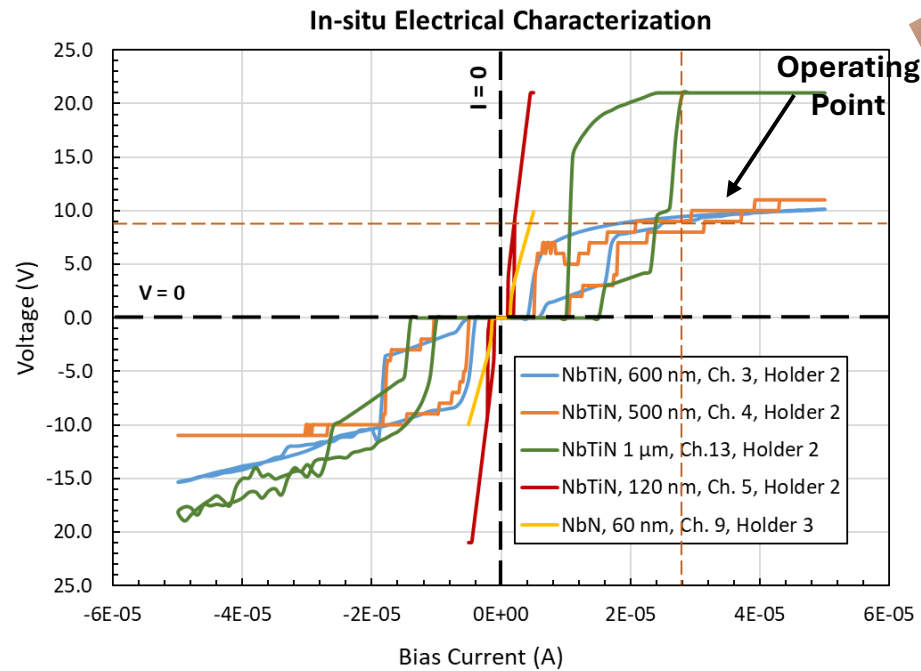
**Timing
Characteristics**

Samples and Materials

- 500 nm width wire NbTiN sample operated at 28 - 30 μA @ 9.3 V
(5th metastable resistive state after I_c , phase slips, vortices, inhomogeneities)
- Double loop geometry with 5I meandering branches
- 7 nm active layer thickness deposited on 400 μm Poly-Si substrate atop the native SiO_2 (2 nm)



Sample	Critical Current [A]	Hysteresis Current [A]
600 nm, NbTiN	$(1.81 \pm 0.10) \times 10^{-5}$	$(4.04 \pm 0.49) \times 10^{-6}$
500 nm, NbTiN	$(1.06 \pm 0.01) \times 10^{-5}$	$(5.01 \pm 0.10) \times 10^{-6}$
120 nm, NbTiN	$(2.1 \pm 0.03) \times 10^{-6}$	$(1.00 \pm 0.03) \times 10^{-6}$
60 nm, NbN	$(1.50 \pm 0.03) \times 10^{-6}$	$(1.40 \pm 0.06) \times 10^{-6}$
1 μm , NbTiN	$(4.83 \pm 0.05) \times 10^{-5}$	$(9.87 \pm 0.52) \times 10^{-6}$



$$\delta V = I R_0 \times \left[\frac{1}{R_0} \left(\frac{dR}{dT} \right) \right] \times \delta T$$

δV : Voltage Variation
 I : Bias Current
 R_0 : Material Resistance
 $\left[\frac{1}{R_0} \left(\frac{dR}{dT} \right) \right]$: Temp. dependent resistance change
 δT : Temperature variation

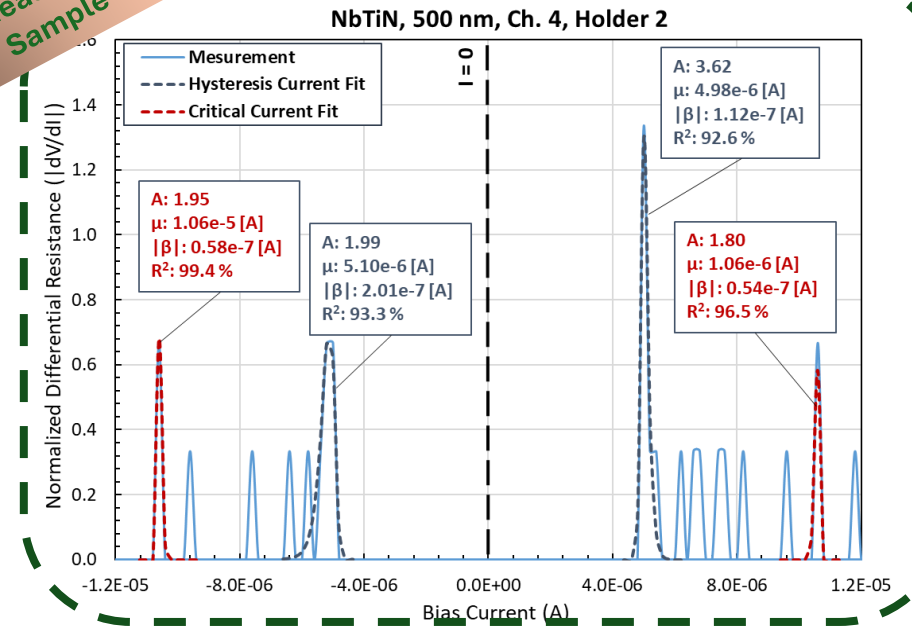
Positive sweep: Slow I_{bias} ramp-up until sharp voltage jump (I_c)

Retrace: Decrease I_{bias} until voltage drop to 0 (I_h)

Negative sweep: Negative I_{bias} ramp to voltage transition ($-I_c$)

Retrace to 0: Decrease negative I_{bias} until voltage drop to 0 ($-I_h$)

Measured Sample

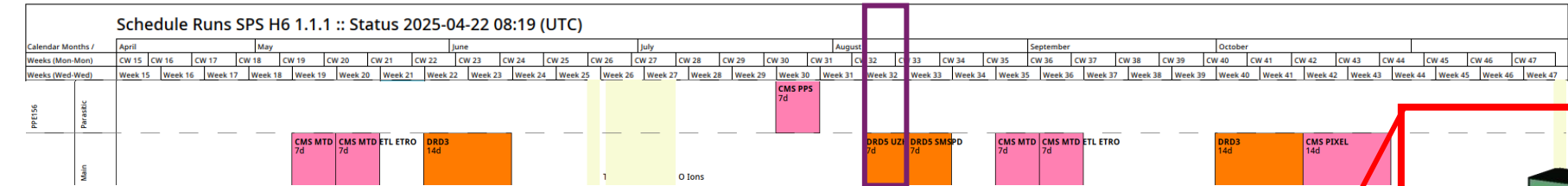


•General Information: H6B

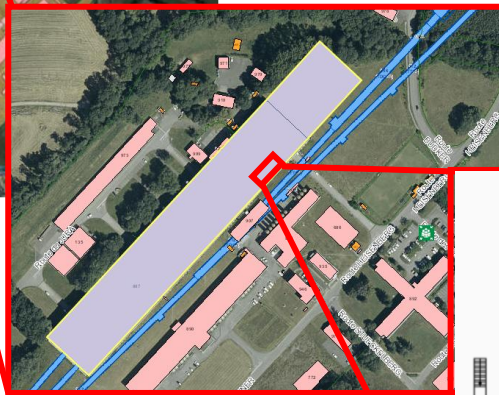


**CERN
Prévessin**

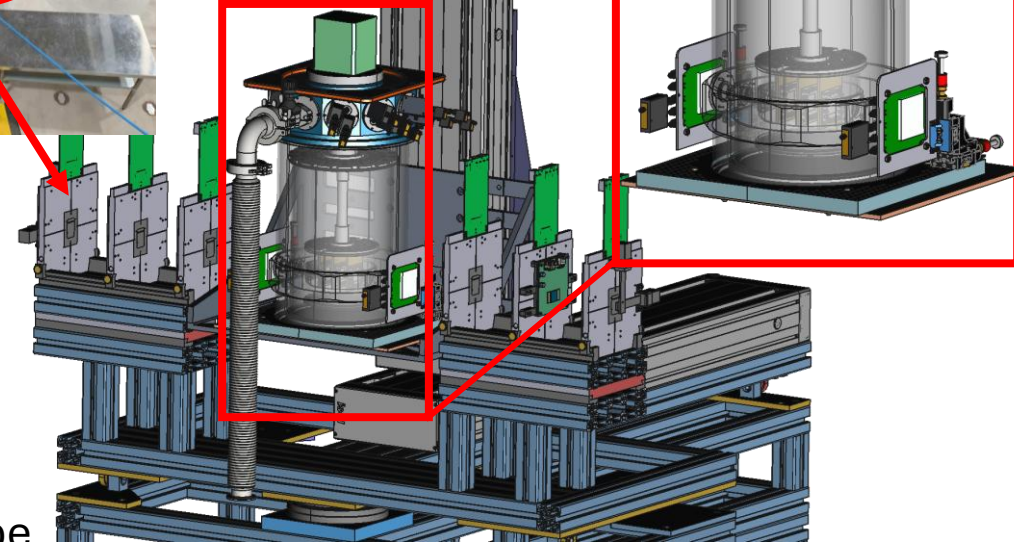
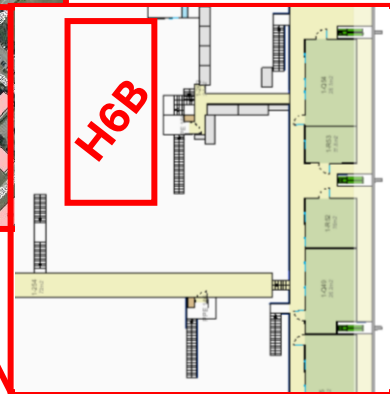
Area: SPS – North Area (NA)
Beam line: H6B
Access Door: PPE156
Counting Room: 887/1-Q54



Building 887



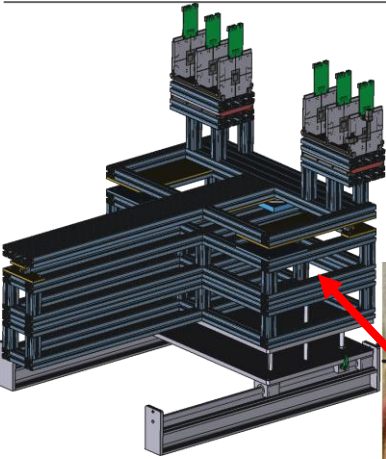
H6B



The Setup

- AIDA Telescope
- Closed Cycle He Cryostat
- 2 x LGAD timing planes on UCSC single channel board
- Pixelated alignment & ROI plane

•Setup @ SPS

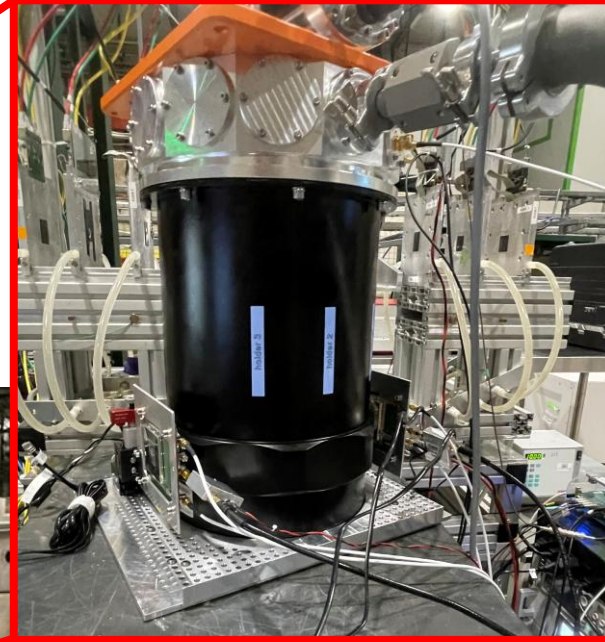
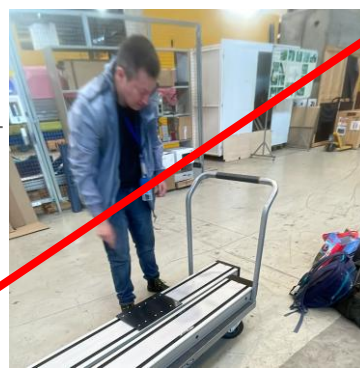


**Modified telescope
frame, 1.4 m back
extension**



**3-phase, He₂,
water cooled
Cryo-Compressor**

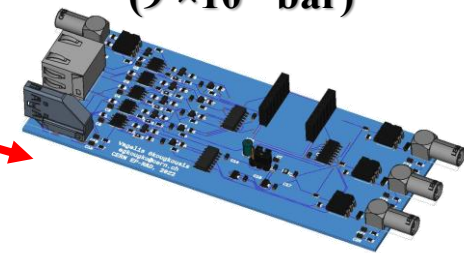
**New 500 Kg Stage Installation
(part of AIDA WP2 project)**



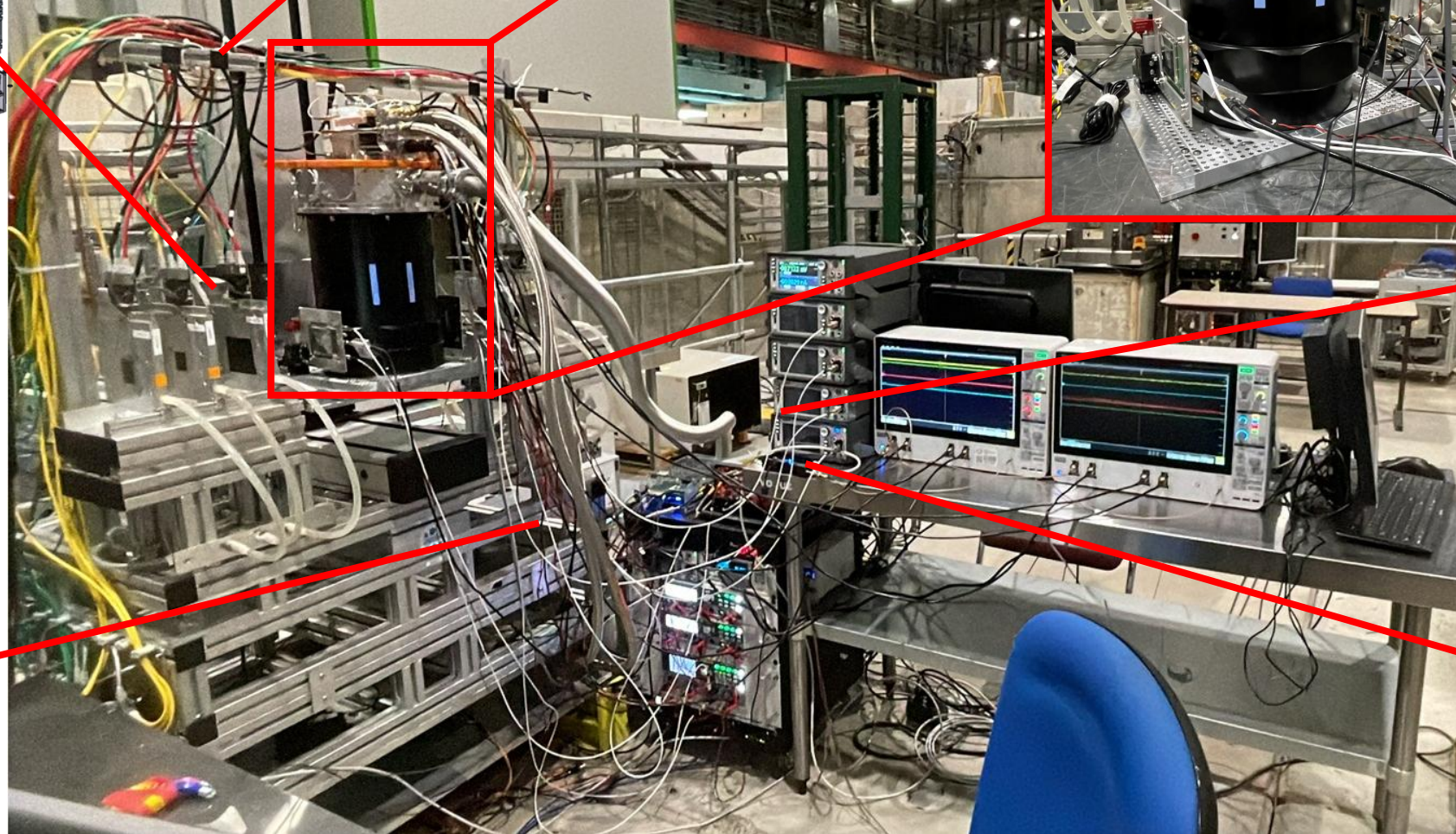
**Instrumentation
Rack**



**Turbo-Molecular
vacuum pump
(9×10^{-9} bar)**



**Dedicated Trigger &
synchronization Board**

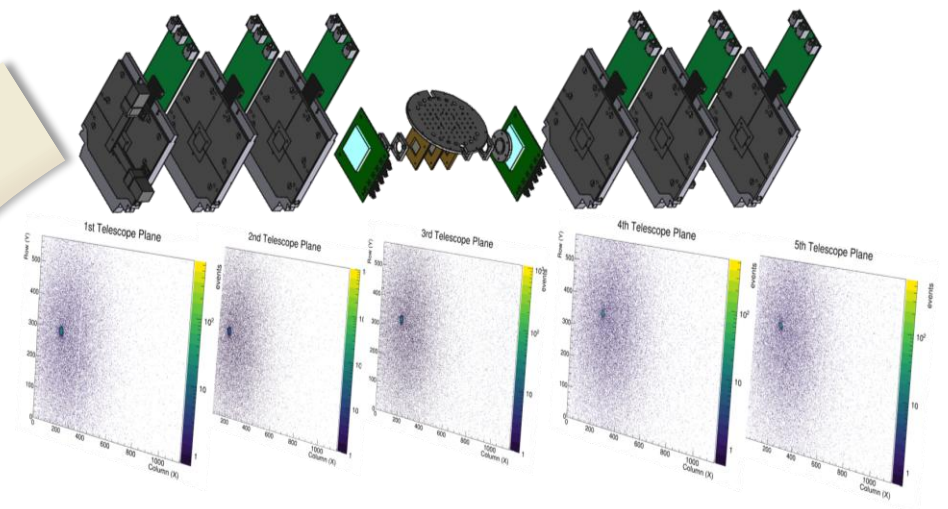


•2025 Test beam, 160 GeV $\pi^{0,\pm}$

2025 period (August)

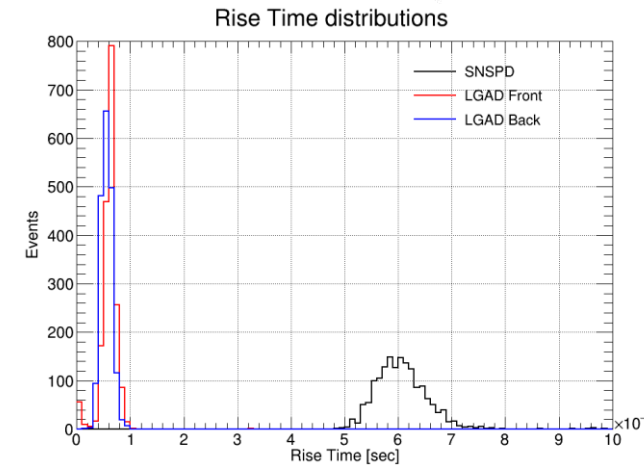
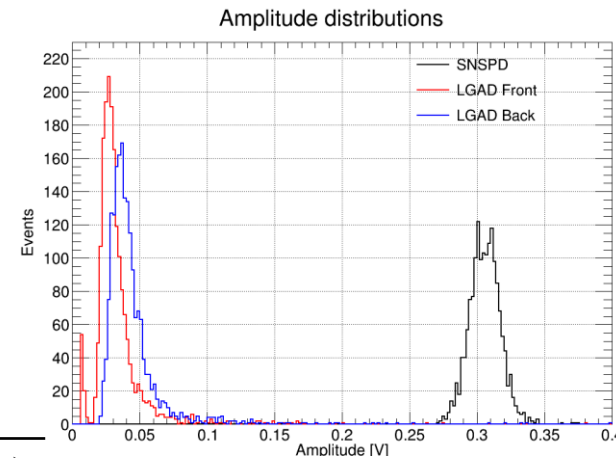
- First ever particle detection with **NbTiN** and **MbB₂** films
- 2.28 K operation within the AIDA telescope in H6B area
- 100 psec timing, 6 nsec rise times with 200 x 200 μm samples
- Very successful test period with article already submitted and under reviews, several Conference presentations ([VERTEX 2025](#))

MIMOSA telescope



Samples & conditions

- Double loop geometry with 5I meandering branches
- 7 nm active layer thickness deposited on 400 μm Poly-Si substrate atop native SiO₂ (1.9 nm)
- operated at 28 - 30 μA @ 9.3 V (5th metastable resistive state after I_c)



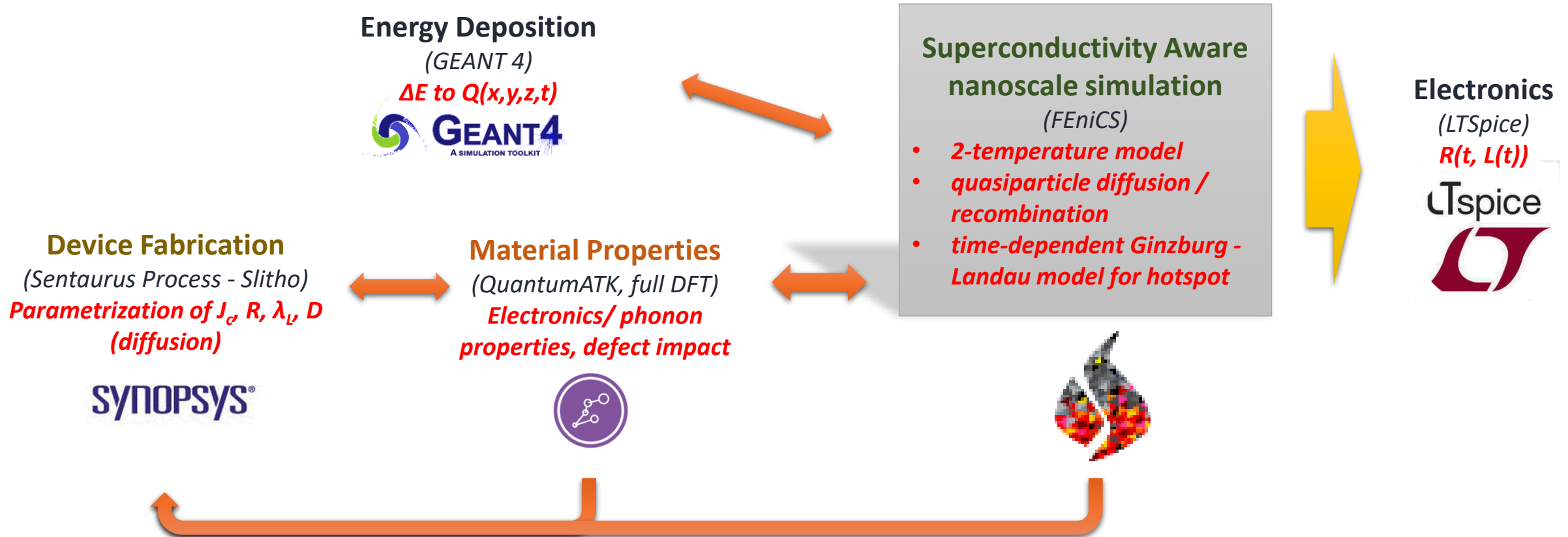
Efficiency estimation

Run Configuration	No. of Events	I_{bias} (SNSPD)	Rate (Hz)
DUT Trigger	2933	30 μA	0.000439
	6061	30 μA	0.011477
Tracing & Efficiency Run, RoI Trigger	6178	30 μA	0.011431
	7261	30 μA	0.011578
	7111	30 μA	0.010707

$$\eta = \frac{R_{\text{DUT trigger}}}{R_{\text{area trigger}}} \approx 3.89 \%$$

•2025 Test beam, 160 GeV $\pi^{0,\pm}$

- End-to-end fully integrated simulation chain
- Propagation of fabrication related defects to DFT approach
- GEANT4 integration for energy deposition simulation
- Effective detection threshold extraction from TDGL approach



•Geant4 Simulation

Differential x-section across different energy ranges

User defined **PAIMODEL+DL** is a custom implementation combining standard PAI with Drude-Lorenz

$$\left(\frac{d\sigma}{d\Omega}\right)_{total} = \begin{cases} \left(\frac{d\sigma}{d\Omega}\right)_{DL,NbTiN} & 0.8 \text{ eV} < E_{tr} < 10 \text{ eV} \\ \left(\frac{d\sigma}{d\Omega}\right)_{PAI,NbTiN} & E_{tr} \geq 10 \text{ eV} \end{cases}$$

ELF -> Energy Loss Function $ELF(E_{tr}, q) = Im \left[-\frac{1}{\varepsilon(E_{tr}, q = 0)} \right]$

$\varepsilon(E_{tr}, q)$ → Complex Dielectric Function

E_{tr} → Energy Transfer

q → Momentum Transfer (optical limit $q = 0$)

PAI Implementation of the energy loss function : $\left(\frac{d\sigma}{d\Omega}\right) \sim \frac{1}{E_{tr}} Im \left[-\frac{1}{\varepsilon(E_{tr})} \right]$

- Effective Energy threshold for NbTiN at 2.28 K with 30 μ A bias current at ~0.8 eV engineered to be fully efficient at 1550 nm.
- This is not the de-pairing threshold, which is 2Δ and is typically in the meV range, it is the effective detection threshold defined by the film properties.

•Geant4 Simulation

$E_{tr} \geq 10 \text{ eV}$: PAI Model

- Photon - Absorption Ionization (PAI) Model, was developed for ionization on gas and thin films, where E_{tr} is the energy transfer, σ_i - the ionization cross section, and σ_γ - the photon absorption cross section, with main structure^[1]:

$$\frac{d\sigma_i}{dE_{tr}} = \frac{\alpha}{\beta^2} \left[\underbrace{\frac{\sigma_\gamma(E_{tr})}{E_{tr} |\varepsilon(E_{tr})|^2} \left(\ln \left(\frac{2m_e v^2}{E_{tr} |1 - \beta^2 \varepsilon(E_{tr})|} \right) + \dots \right)}_{\text{Energy loss}} + \underbrace{\frac{1}{E_{tr}^2} \int_{I_1}^{E_{trmax}} \left(\frac{\sigma_\gamma(E_{tr}')}{|\varepsilon(E_{tr}')|^2} \right) dE_{tr}'}_{\text{Delta electron tail}} \right]$$

- Expected yield is described by a Poissonian, of which mean is obtained from the integrated ionization cross section:

$$\mu = n \sigma_i l \quad \text{where} \quad \sigma_i = \int_{I_1}^{E_{trmax}} \frac{d\sigma_i}{dE_{tr}} dE_{tr}$$

where μ : Poissonian mean

I_1 : first ionization potential

β : v/c

n : electron density

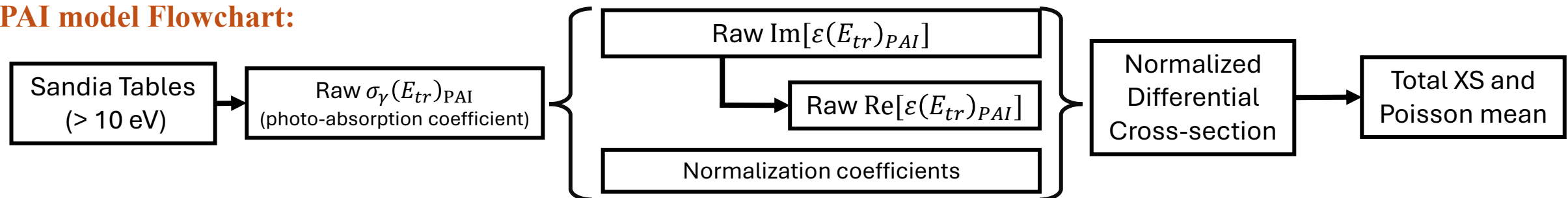
E_{trmax} : maximum transfer to free electron

m_e : electron mass

l : step length

α : fine structure constant ($\sim 1/137$)

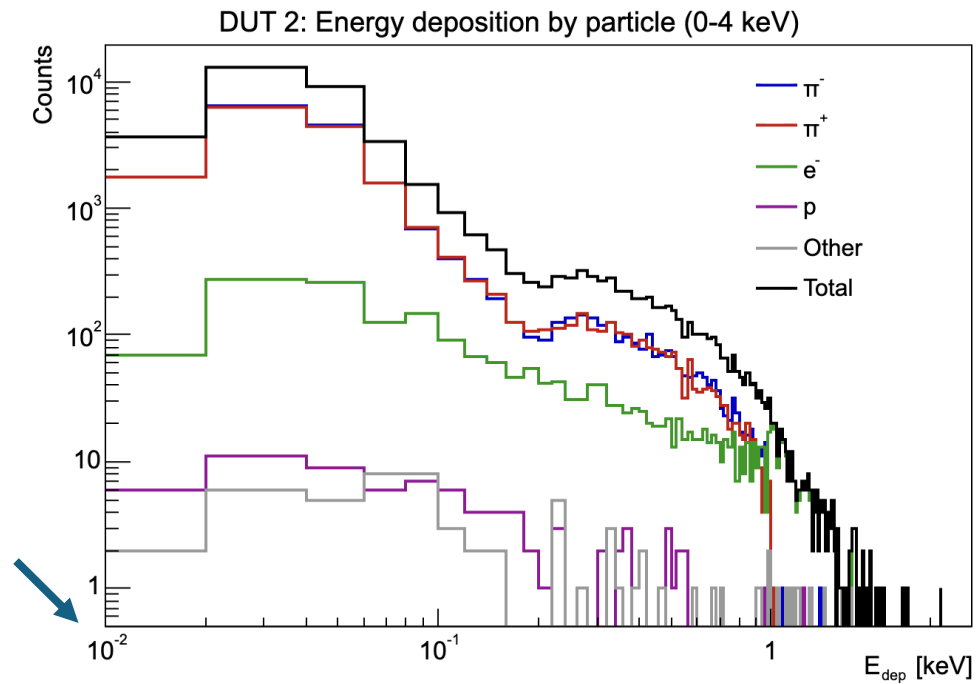
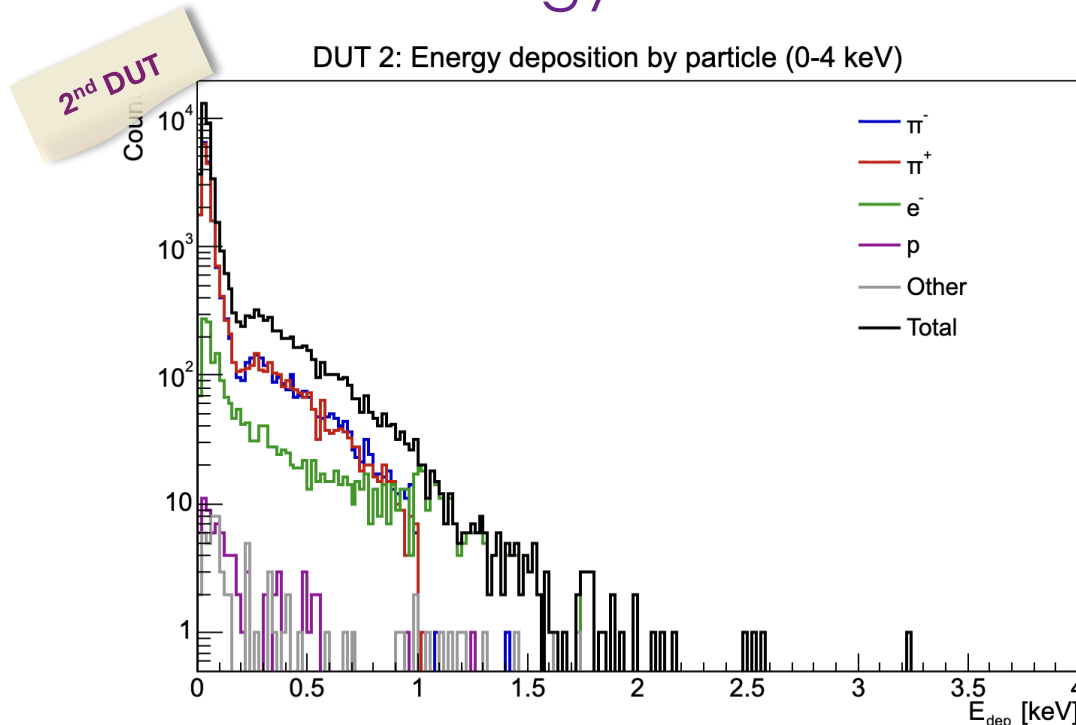
PAI model Flowchart:



1. J. Apostolakis, Nucl. Instrum. Methods Phys. Res. A 453, 597–605 (2000)

•Geant4 Simulation

PAI Model: Low-energy limitations



Energy deposition spectra by particle type in a 7 nm $Nb_{0.7}Ti_{0.3}N$ film, simulated with G4PAI and shown in log-y and log-log scales.

- **Low energy limitation around 10 eV**
 - In GEANT4, the cross sections are constructed from data in G4SandiaTable
 - Sandia Table is limited at low energies, with the first available interval starting around 10 eV.
 - SNSPD detection threshold can be as low as ~ 800 meV

•Geant4 Simulation

$E_{tr} < 10 \text{ eV}$: Drude-Lorentz approximation

Approximate the collective and lattice effects as a sum of a single Drude and 2 Lorentz Oscillators

$$\overbrace{Re[\varepsilon(E_{tr})] + iIm[\varepsilon(E_{tr})]}^{\varepsilon(E_{tr})} = \varepsilon_{\infty} - \overbrace{\frac{E_{pu}^2}{E_{tr}^2 - i\Gamma_D E_{tr}}}^{\text{Drude Term}} + \underbrace{\sum_{j=1}^n \frac{f_j E_{0j}^2}{E_{0j}^2 - E_{tr}^2 + i\gamma_j E_{tr}}}_{\text{Lorentz Oscillators}}$$

E_{pj}^2

Parameters for 100 nm film

Parameter	Symbol	Nb _{0.5} Ti _{0.5} N(eV)	NbN(eV)	TiN(eV)
Background constant	ε_{∞}	1.896	1	3.558
Plasma energy	E_{pu}	8.67	10.58	7.44
Drude Broadening	Γ_D	0.954	3.222	0.416
Resonance Energy 1	E_{01}	6.158	5.666	4.802
Oscillator strength 1	f_1	5.547	2.291	3.819
Broadening 1	γ_1	4.525	2.03	2.4
Resonance Energy 2	E_{02}	2.254	3.035	2.024
Oscillator strength 2	f_2	0.224	7.174	0.997
Broadening 2	γ_2	1.71	5.5	1.617

where E_{tr} : energy transferred
 ε_{∞} : background term
 E_{pu}^2 : unscreened plasma energy (density of electrons)
 Γ_D : Drude broadening / scattering rate
 E_{0j} : Lorentz oscillator resonance energy
 f_j : Lorentz oscillator strength
 γ_j : Lorentz linewidth / damping factor

- Drude term: response of free or weakly bound electrons
- Lorentz term: response of bound-electron excitations

Dielectric values from R. Bower et al., ACS Appl. Mater. Interfaces 12, 45444–45452, materials are all measured with 100 nm film deposited on Si substrate

•Geant4 Simulation

Drude Lorentz + PAI: Photo-absorption, Energy deposition

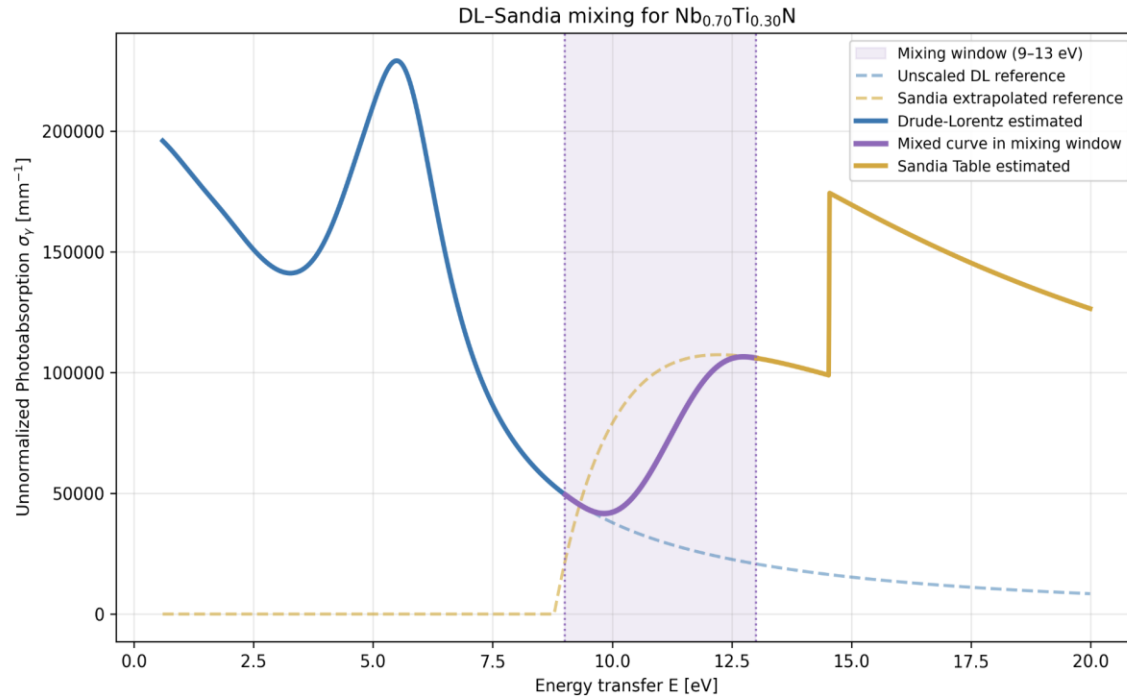
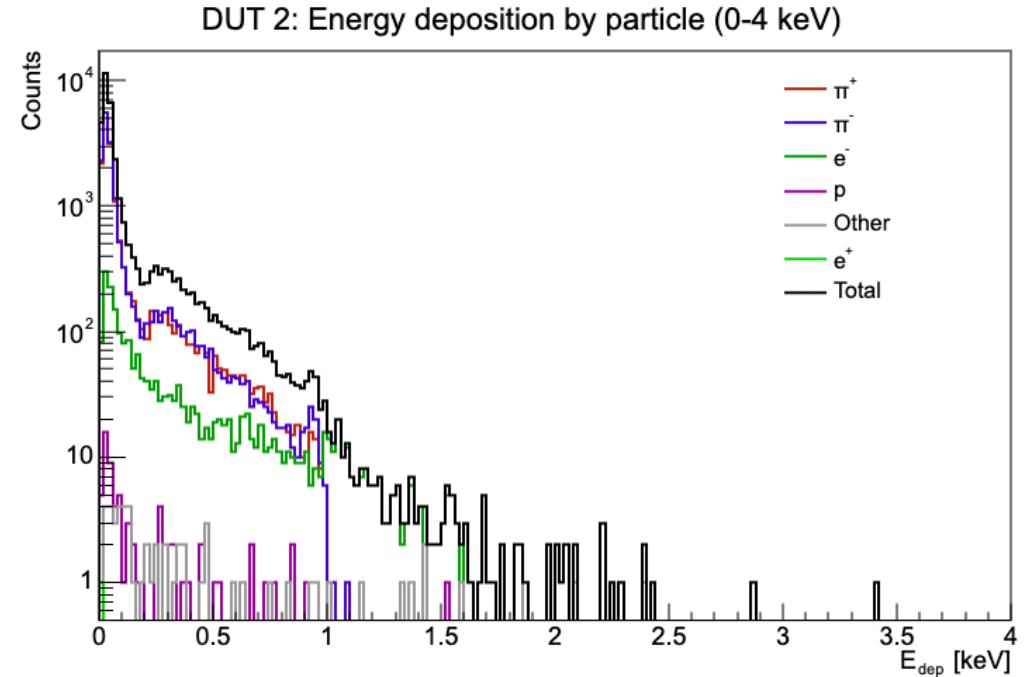


Photo-absorption cross-section of the extended PAI model for $Nb_{0.7}Ti_{0.3}N$, with a 9–13 eV blending window. The hump-shaped curve above 10 eV are shell structures from Sandia Table data.



Energy deposition by particle type $Nb_{0.7}Ti_{0.3}N$ using extended PAI model for a 7 nm thick film. Efficiency estimated in Per-Event level, with double count (back scatter / secondaries) rejection :

$$\varepsilon = \frac{[N_{prim.} \cup N_{secon.}]}{N_{\pi(+/-)}}$$

•Phonon Propagation in Si

Categories and thermalization

- Ballistic phonons: Created by e-h pairs through electron-phonon coupling

$$f_{max} = 21 \text{ THz}$$

Determined by the angular Debye frequency

- Thermal phonons: Created by ballistic phonon down-converting and lattice vibrations

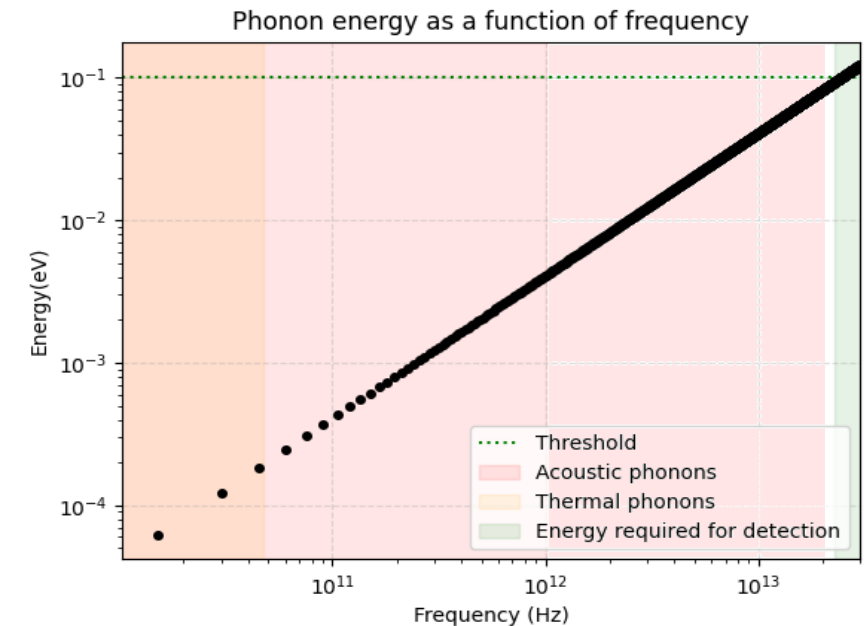
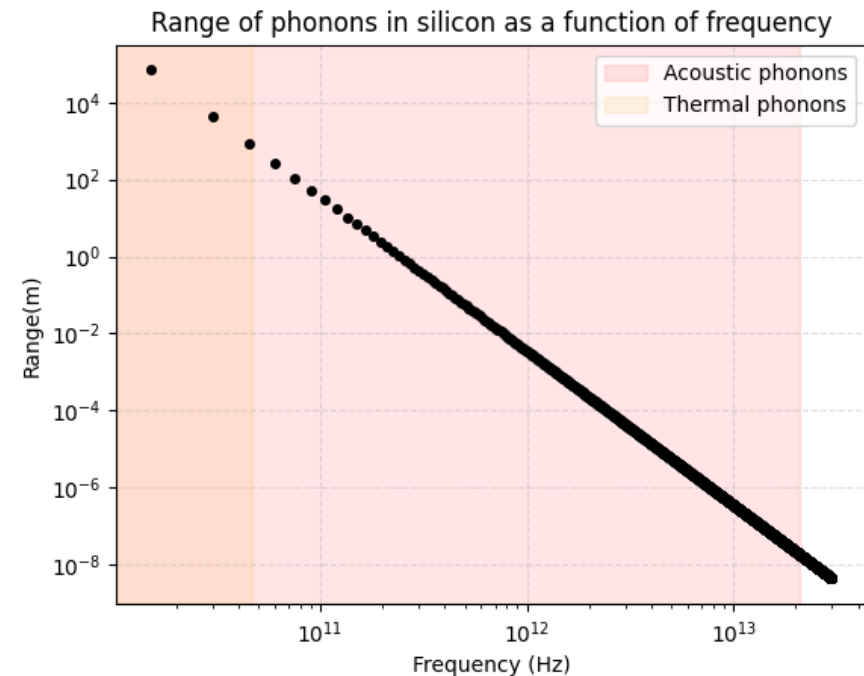
$$f_{max} = \frac{k_B T}{h} = 47 \text{ GHz}$$

Determined by the Boltzman energy at 2.28K

- NTL (Neganov–Trofimov–Luke) phonons: Generated by charged carriers being displaced within an electric field (Not present here)

Tested sensor tuned for 1550 nm → 0.8 eV
Required phonon frequency > 21 THz

No detection of thermal or ballistic phonons



•TDGL Simulation

Time Dependent Ginzburg-Landau Model

- TDGL equation can be obtained from Ginzburg-Landau free energy, when order parameter is small (near T_c):

$$\underbrace{\Gamma \left(\frac{\partial \psi}{\partial t} + i \frac{q^*}{\hbar} \phi \psi \right)}_{\text{Time evolution term}} = \underbrace{\frac{\hbar^2}{2m^*} \left(\nabla - i \frac{q^*}{\hbar} \mathbf{A} \right)^2}_{\text{Kinetic (vortex)}} \underbrace{\psi - \alpha \psi - \beta |\psi|^2 \psi}_{\text{GL free energy potential}}$$

- Order parameter ψ , scalar electric potential ϕ , and vector magnetic potential $\mathbf{A}$, where $0 < \psi < 1$ indicates the local “superconductivity”, Γ is the relaxation constant (common value 5.79)
- The second TDGL equation is the Ampere’s Law:

$$\underbrace{- \frac{4\pi\sigma_n}{c} \left(\frac{1}{c} \frac{\partial \mathbf{A}}{\partial t} + \nabla \phi \right)}_{\text{Normal Current}} + \underbrace{\frac{2\pi i e_s \hbar}{m_s c} (\psi^* \nabla \psi - \psi \nabla \psi^*)}_{\text{Super Current}} - \underbrace{\frac{4\pi e_s^2}{m_s c} |\psi|^2 \mathbf{A}}_{\text{Total Current}} = \nabla \times \nabla \times \mathbf{A}$$

- Can be numerically solved via: **Gauge choice + discretization (meshing) + numerical solver**, in dimensionless units:
- Length scales with coherence length or London penetration depth (depends on the simulation scales) :

$$r \rightarrow \xi_0 \tilde{r}, \quad \nabla \rightarrow \frac{1}{\xi_0} \tilde{\nabla}, \quad r \rightarrow \lambda_0 \tilde{r}, \quad \nabla \rightarrow \frac{1}{\lambda_0} \tilde{\nabla}$$

- Time scales with $\tau_0 = \mu_0 \sigma \lambda^2$:

$$t \rightarrow \tau_0 \tilde{t}$$

- The dimensionless TDGL contains $\kappa = \lambda/\xi$, based on the length scaling, for example^[1]:

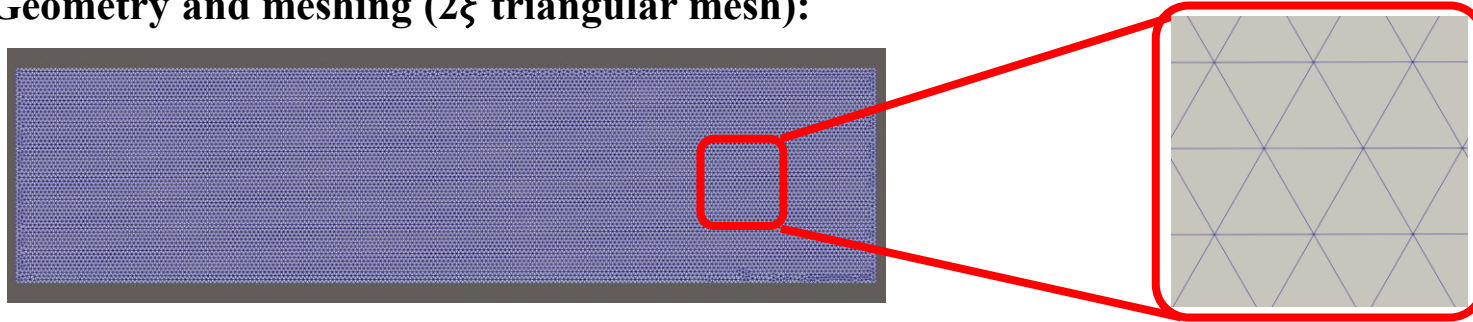
$$\gamma \left(\frac{\partial \psi}{\partial t} + i \kappa_0 \phi \psi \right) + \frac{1}{\mu} \left(-\frac{i}{\kappa_0} \nabla - \mathbf{A} \right)^2 \psi + \frac{1}{\kappa} \nabla \frac{1}{\mu} \cdot \left(\frac{1}{\kappa_0} \nabla - i \mathbf{A} \right) \psi - \alpha \psi + \beta |\psi|^2 \psi = 0$$

1. Harbick & Transtrum, Phys. Rev. B, (2025), doi:10.1103/q9h5-83fy

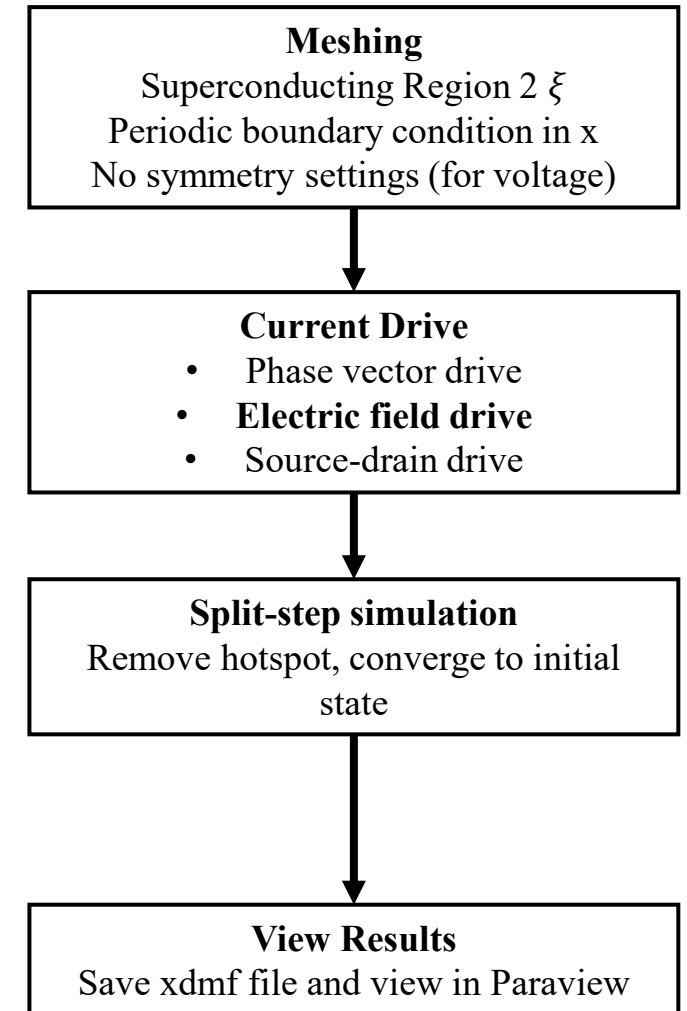
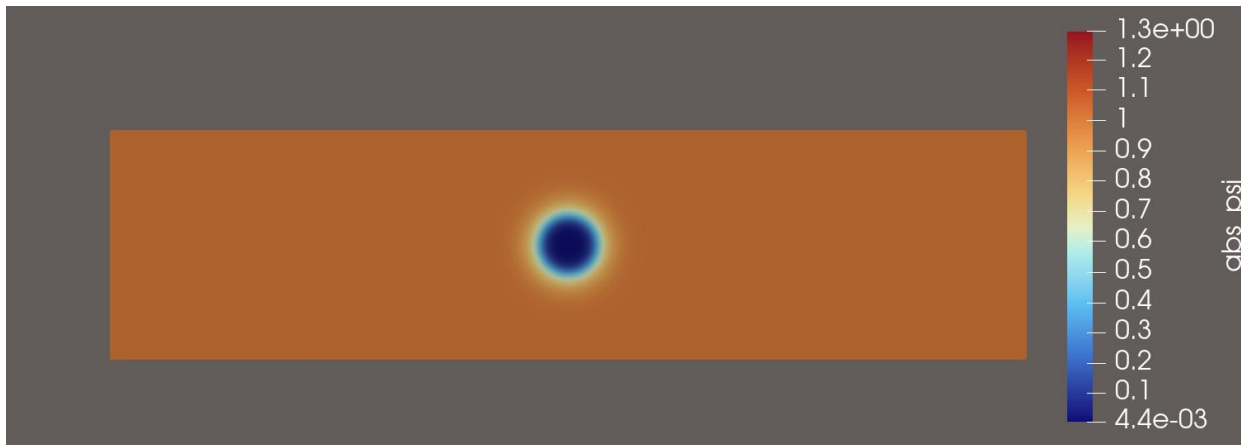
•TDGL Simulation

FEniCS TDGL Simulation: 2D run E-field Drive

- Geometry and meshing (2ξ triangular mesh):



- Event simulation



•Fabrication Run

Full wafer layout (BETTY)

Layout information:

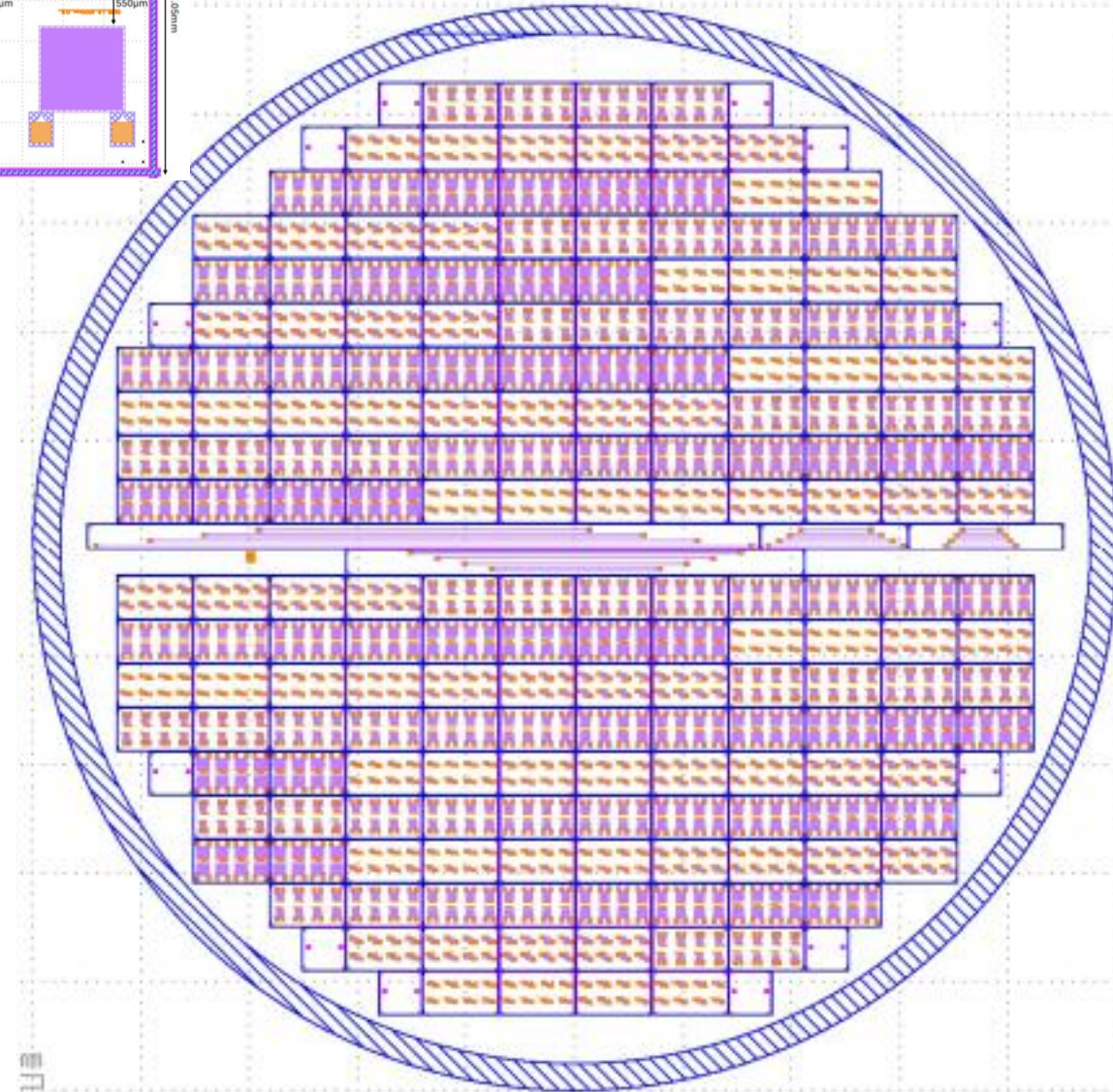
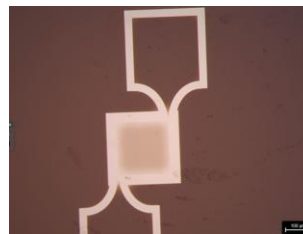
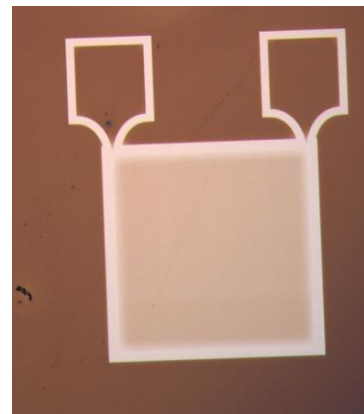
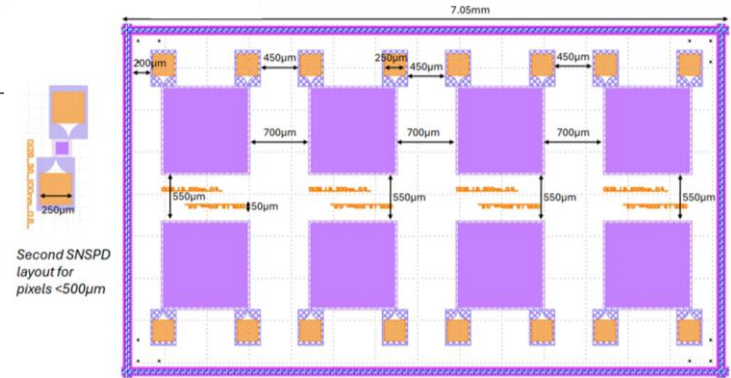
- 160 unique SNSPDs
- 47 SNSPD die and 18 test structures
- 7 duplicates with variable relative positions
- 50 μ m dicing lines
- 50 μ m marker width

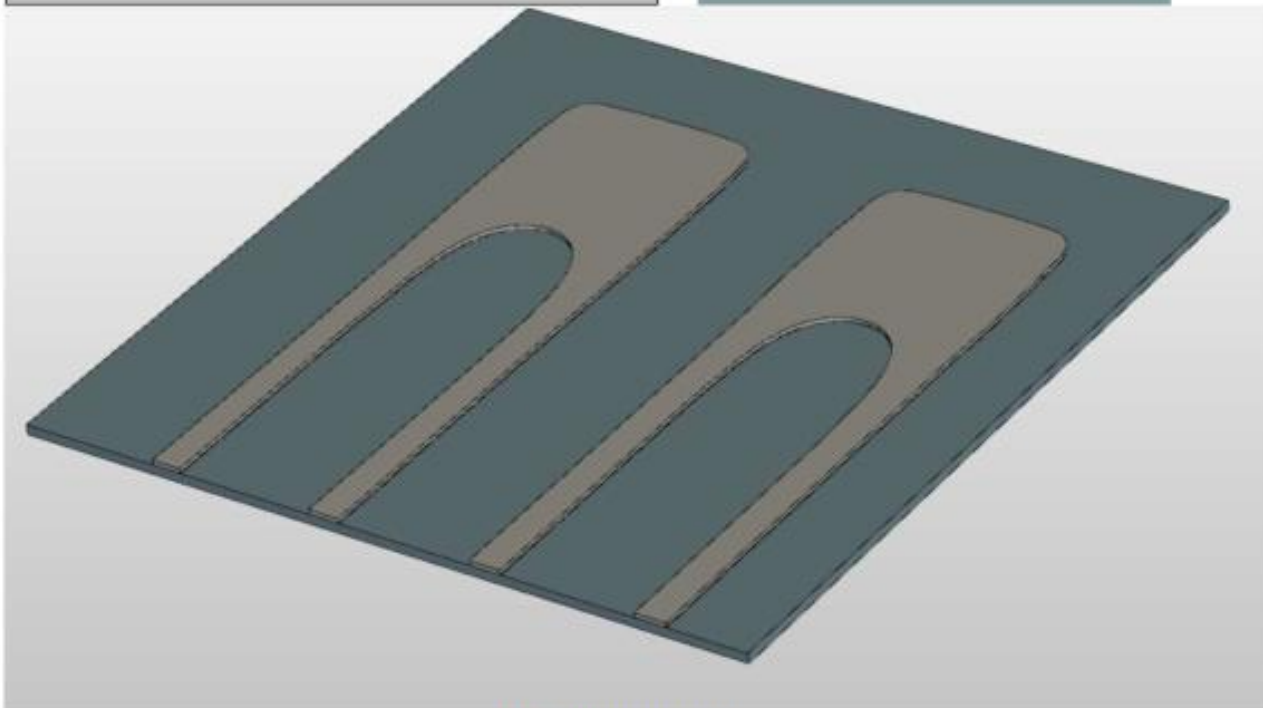
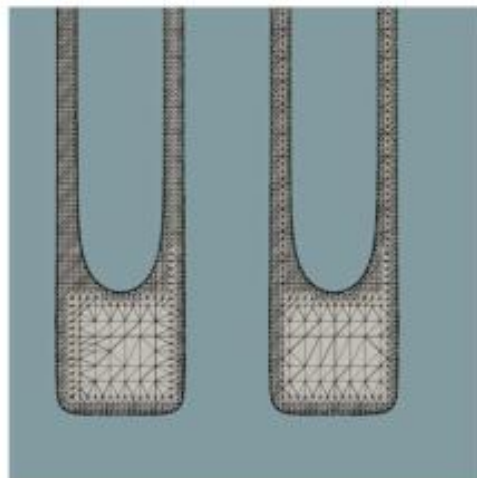
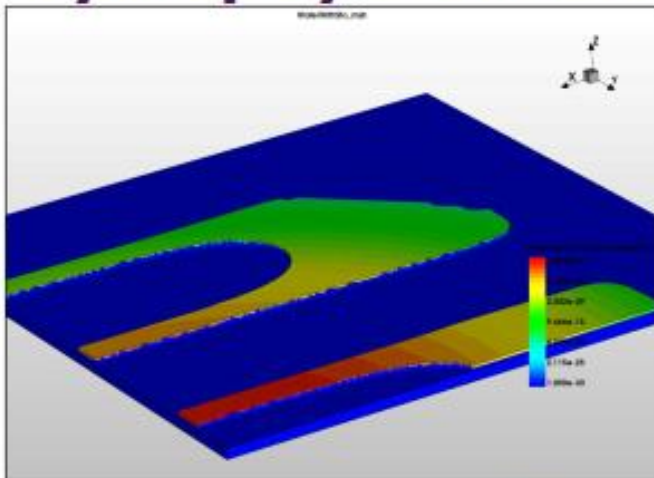
Key differences:

- Bigger chips with 8 SNSPDs instead of 1
- Less photolithography required

Silicon wafer:

- Monocrystalline Fz Si
- $\langle 100 \rangle$ or $\langle 111 \rangle$ orientation
- 4" diameter
- 525 μ m thickness
- Double sided polish
- P-type boron doping
- 10K Ω cm





Full simulation result

Simulation steps (e-beam lithography):

- Si <100> 525 μm substrate **Sprocess**
- Spin coating of resist (PMMA) **Slitho**
- Pre-baking **Slitho**
- E-beam lithography emulation through **Slitho**
- Resist development **Slitho**
- Reactive ion etching **Sprocess**



Full simulation process flow in the silicon workbench package

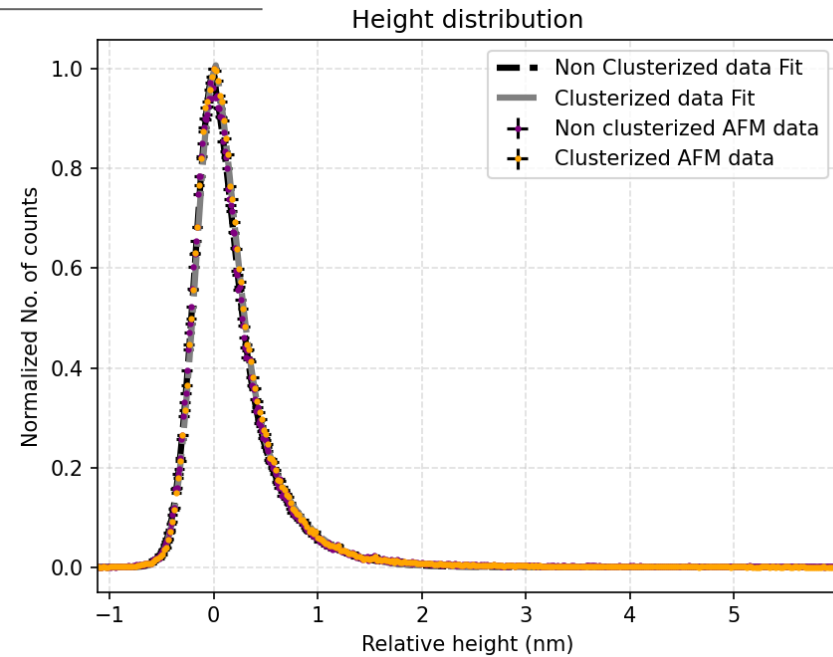
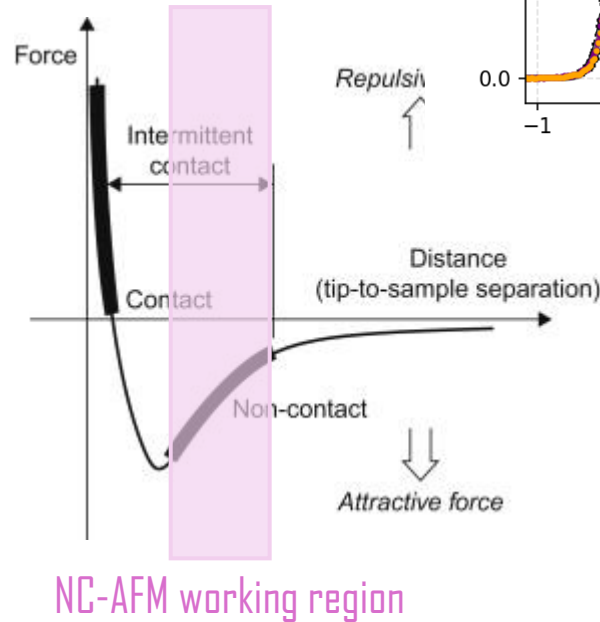
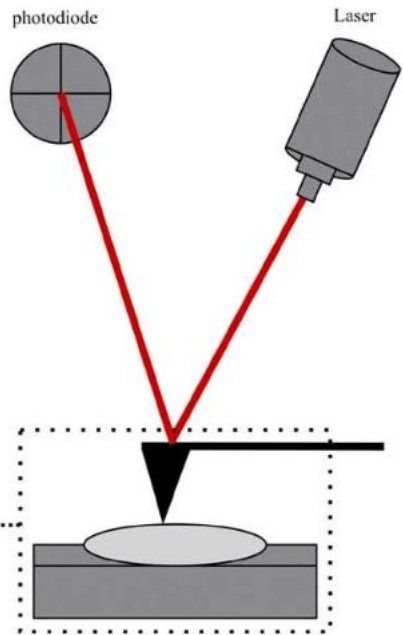
- Adaptive meshing done around the RIE edge
- Doping field used to emulate defects within the structure of the thin film

•Sample Characterization

Atomic Force Microscopy

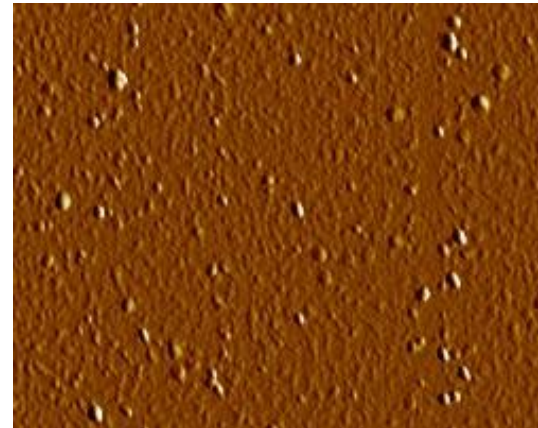
What we can reach:

- 0.05 nm height precision
- 5 nm x 5 nm pixel resolution
- Several μm vertical deflection



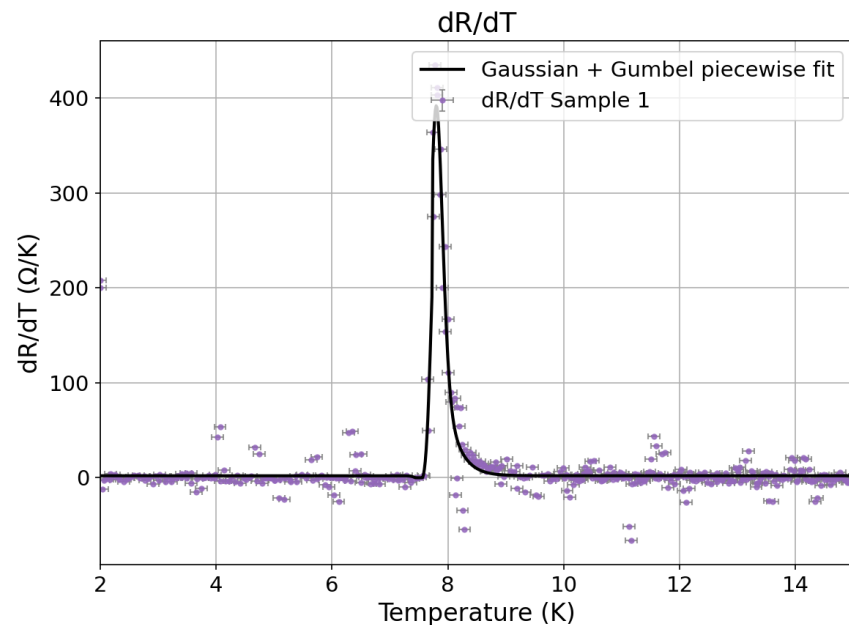
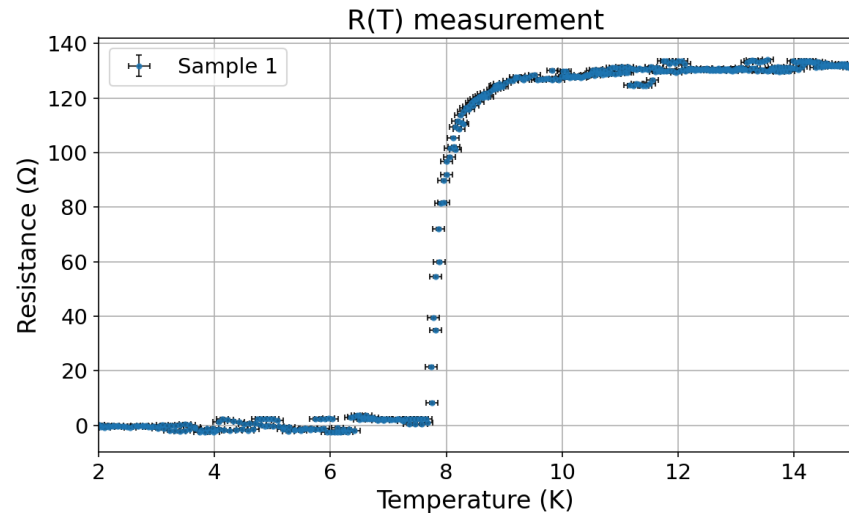
Data	Clusterized	Non-Clusterized
Gaussian amplitude	0.35 ± 0.016	0.35 ± 0.0052
Gaussian mean	1.103 ± 0.007	1.11 ± 0.002
σ	0.191 ± 0.005	0.192 ± 0.0017
Poisson amplitude	0.722 ± 0.009	0.680 ± 0.003
Λ	0.093 ± 0.0035	0.098 ± 0.0012
χ^2	5.76	15.9

- Clusterization algorithm removes ~4% of the data
- Current wafers: Test grade wafers: 1-2 nm roughness, low resistivity, CZ growth, SSP, P or N type doping
- Topsil wafers: Research grade, 0.2 nm roughness, High resistivity 1500 Ohm-cm, SSP, P type boron doping



•Sample Characterization

Electrical Characterization – R(T)

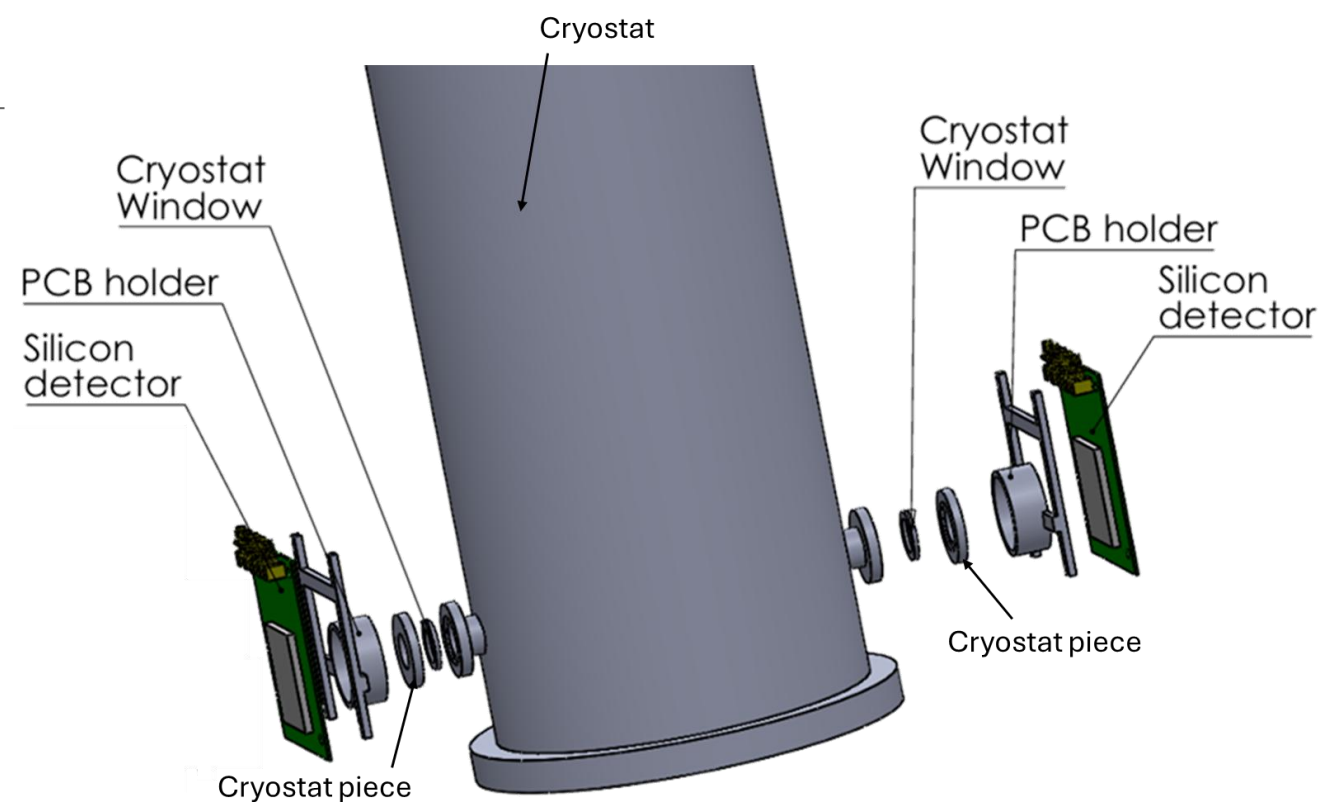
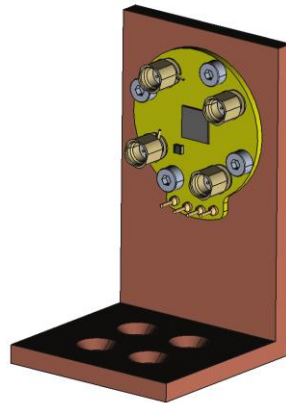
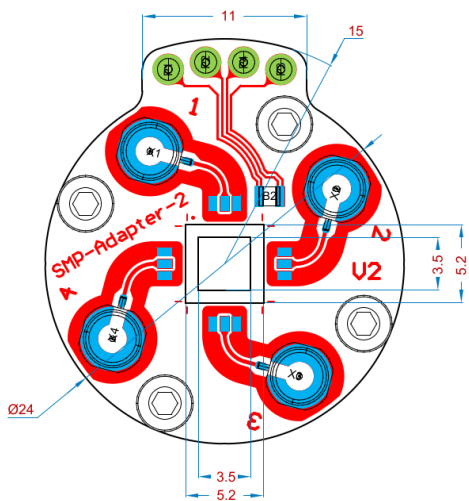


- dR/dT fit done with an asymmetric **Gauss + Gumbel distribution**.
- Gumbel used to describe the **high temperature tail**.
- Mathematically, a Gumbel distribution models the **distribution of maxima events in a series of distributions**.
- Physically, the influence of local non uniformities lead to **out of order local superconducting breakdown**, which the Gumbel distribution captures correctly.

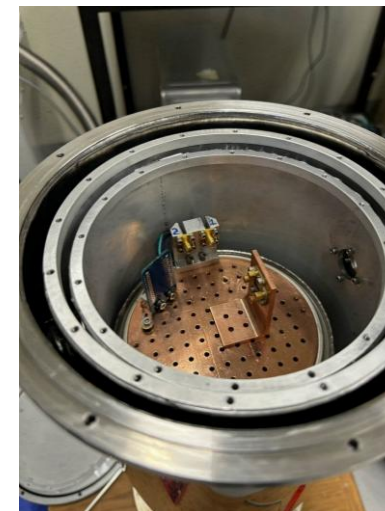
The values we need for afterwards are the Critical temperature and FWHM:

Sample number	T_c	ΔT
1	7.73 K	0.23 K
2	7.81 K	0.3 K

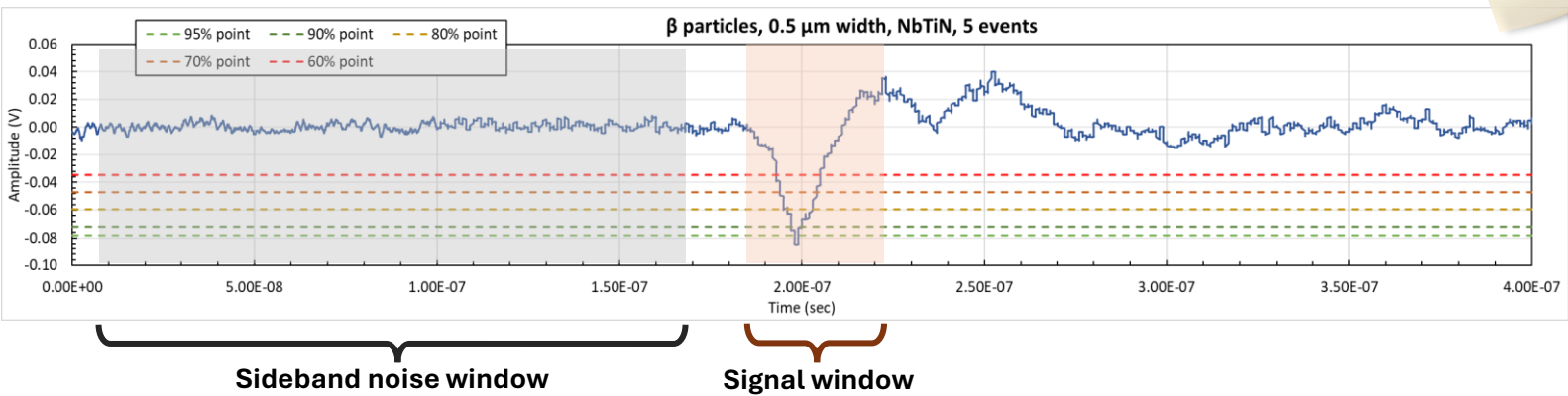
• β -particle measurements



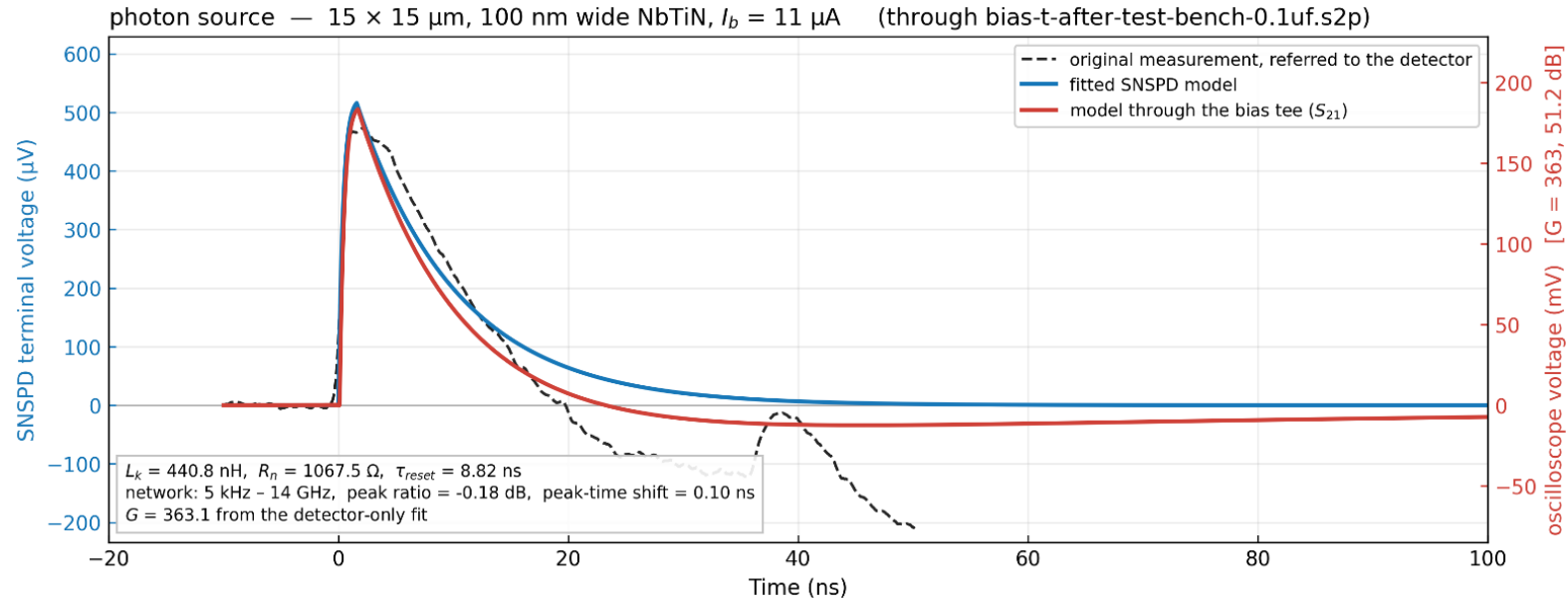
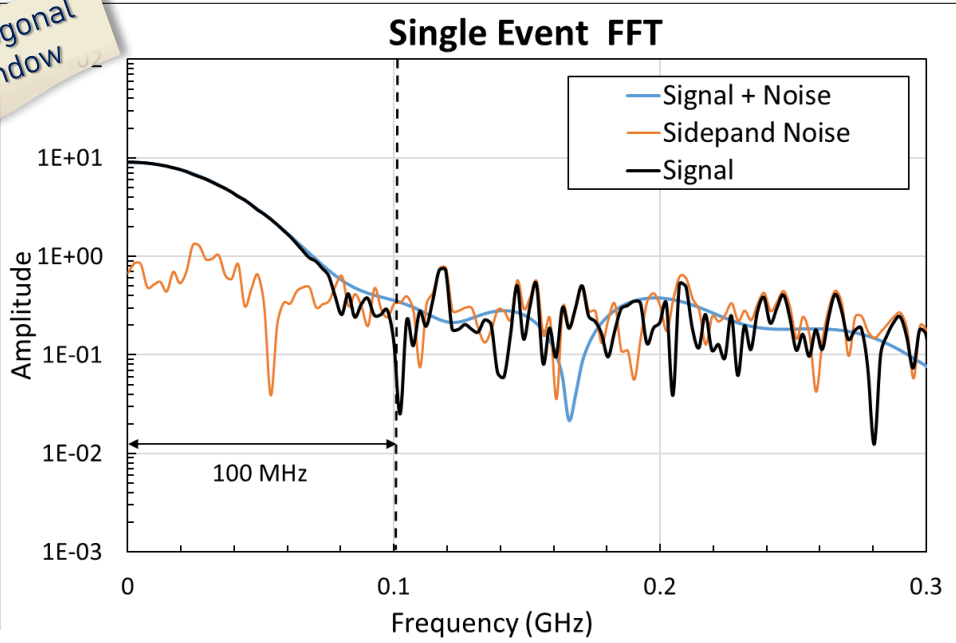
- AlN PCB with high thermal conductivity but low X_0
- Copper Sample holder with 0.5 x 0.5 cm opening behind the sample for beam passthrough and multiple scattering mitigation
- Aluminized Millar windows at both sides of the cryostat and intermediate barriers with a total thickness of 2 x 40 μm Al.
- Open cycle cryostat with no active temperature control
- 2 GHz oscilloscope at 5 Gs/s with 28 Mbq ($\pm 15\%$) ^{90}Sr beta source
- 3 GHz MiniCircuits voltage amplifiers in a 2-stage configuration



• β -particle measurements



Orthogonal window



$$A_{\text{sig}}(f) = \sqrt{\max(A_{\text{meas}}(f)^2 - A_{\text{noise}}(f)^2, 0)}$$

Signal Caractéristiques	
Min Voltage	- 40 mV
Max Voltage	084.3 mV
Baseline	3.6 mV
RMS noise	3.9 mV
Rise Time	9.7 nsec
Signal Duration	36 nsec
Integrated Charge (22.4 ² gain @ 100 MHz)	$2.88 \times 10^{-11} \text{ Q}$

50 Ω
Chain

• Cryogenic Electronics

- Target**
- 2-stage voltage amplifier with 2.2 - 20 K operation
 - Integrated bias Tee (SNSPD current biasing)
 - AlN substrate PCB with SMP connectors
 - 16 readout channels
 - < 100 mV heat dissipation total (~ 8.2 mV / channel)

High Electron Mobility
Transistors (HEMPs)

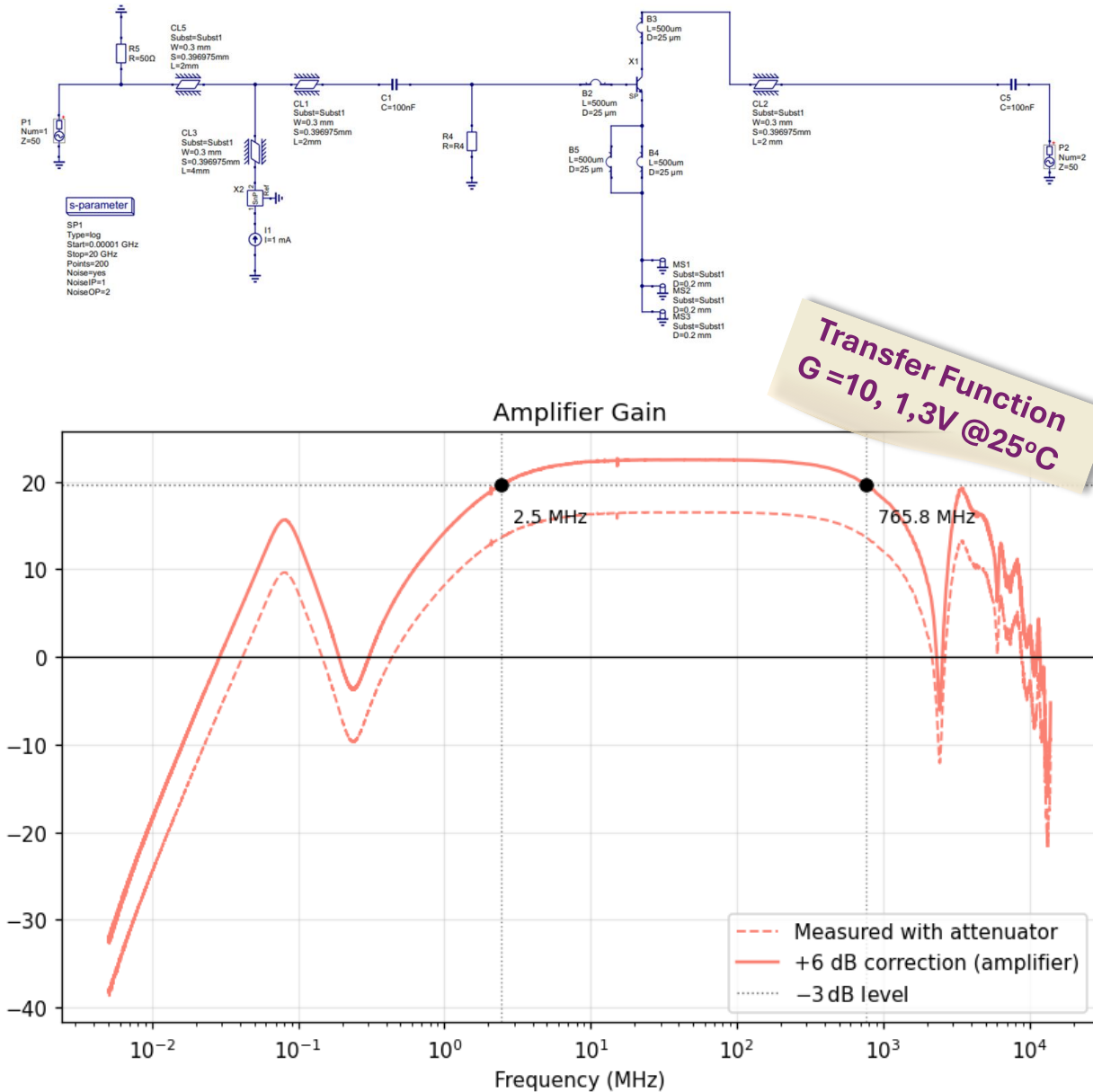
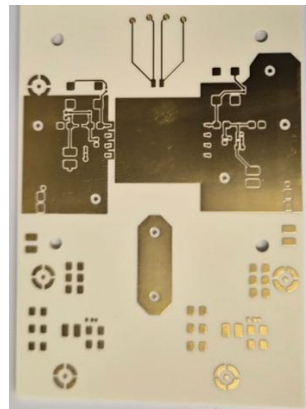
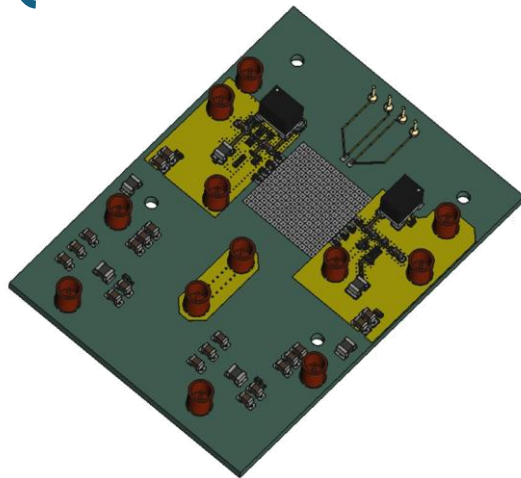
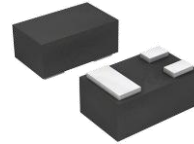
1. Diramics pH-100:

- Indium Phosphate, 100 nm gate width
- > 0.1dB Noise @ 10 K
- 40 GHz bandwidth



2. Infineon SiGe BFR840:

- Standard elektronisch CompuNet
- RF NPN Transistor up to 76GHz
- CMOS Syn-crystallization



•Conclusions & Outlook

- First Test of NbTiN and Nb N samplers in test beam proved operating principal
- Efficiency understood with GEANT4 simulations with custom model developed for low energy depositions, below atomic level states
- First in-house production run designed and currently at patterning stage, films show excellent performance
- Synopsys simulations on-going for process optimization
- Electronics design based on High Electron Mobility Transistors and SiGe on Rogers 4K substrate
- Time Dependent Ginzburg Landau Simulations for optimization of effective detection threshold