

Future gamma-ray searches for light dark matter

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July 28, 2026

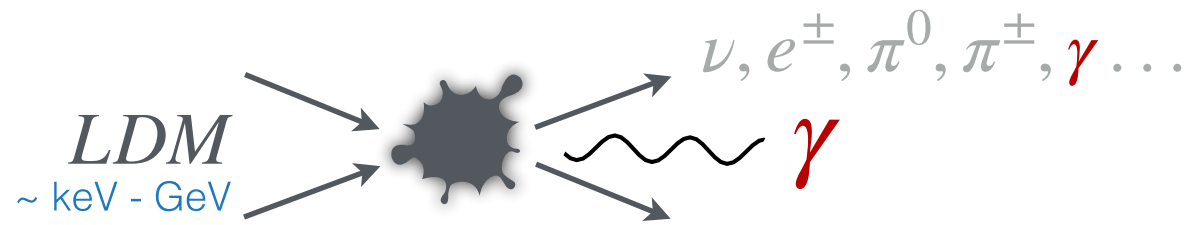
Light Dark World 2026



July 28th - July 31st
Carleton University
Ottawa, Canada

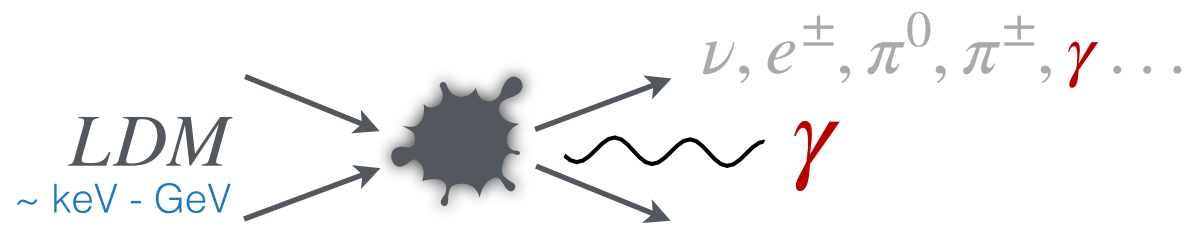


MeV gamma rays from light dark matter



We can probe the masses of a light dark sector
with MeV γ rays

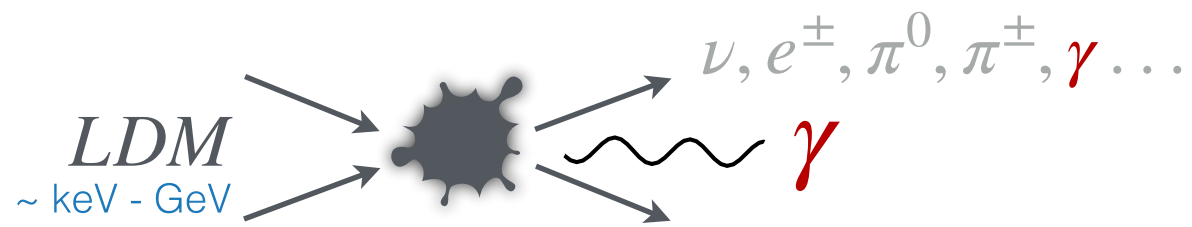
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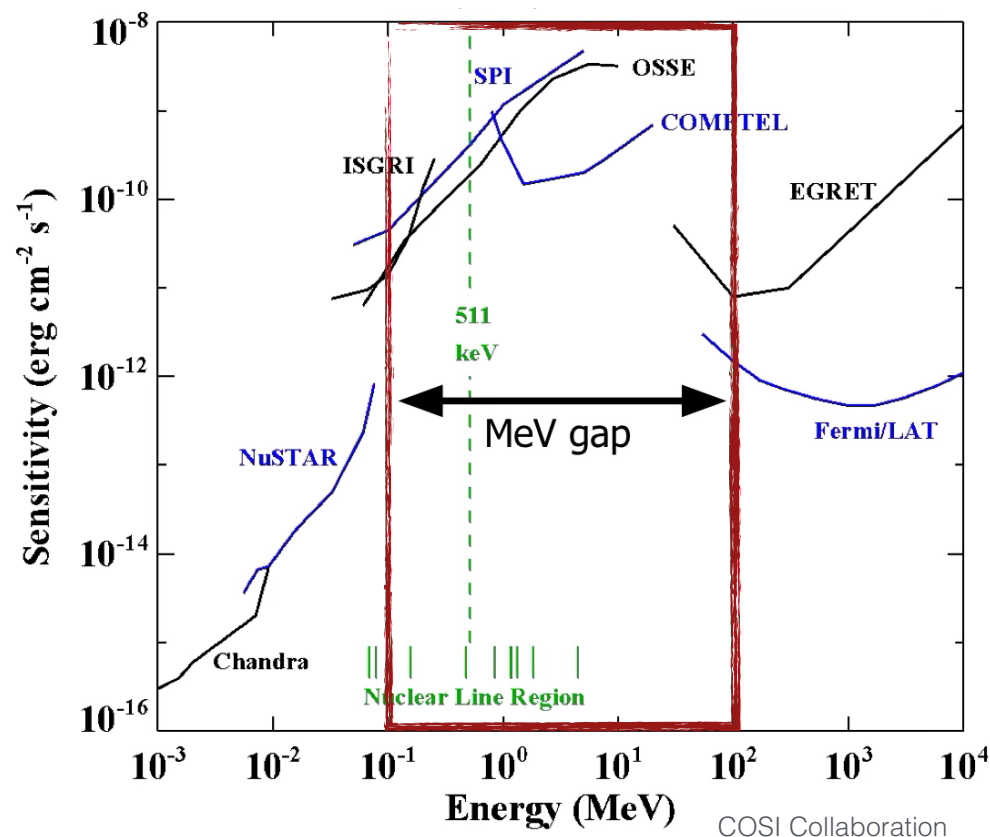
- γ -ray lines at $E_{\gamma} = m_{\chi}(1 - m_N^2/(4m_{\chi}^2))$
from $\chi\bar{\chi} \rightarrow \gamma N$ (N : neutral state)
- γ -ray boxes w/ width $\Delta E_{\gamma} \approx \sqrt{m_{\chi}^2 - m_N^2}$
from N radiative decays
- Continuum emission from charged states:
sharp cutoff at $E_{\gamma} = m_{\chi}$

MeV gamma rays from light dark matter



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- Continuum emission from charged states: sharp cutoff at $E_\gamma = m_\chi$



COSI: upcoming MeV γ -ray telescope



- NASA Small Explorer satellite with a scheduled **launch in 2027**
- Compton telescope observing γ rays in the **0.2 - 5 MeV energy range**
- High-resolution Ge detectors: excellent **narrow-line sensitivity**

Some proposed γ -ray telescopes



AMEGO-X



GECCO



newASTROGAM



GRAMS

A self-consistent vector-scalar portal for MeV γ -ray signals

$$SU(3)_c \times SU(2)_L \times U(1)_Y \times U(1)_X$$

Remnant Z_2
 $\Rightarrow$ stable DM

$$\downarrow \quad \langle \Phi_s \rangle_0 = \frac{v_s}{\sqrt{2}} \Rightarrow m_{Z'}, m_\chi, m_\nu \neq 0$$

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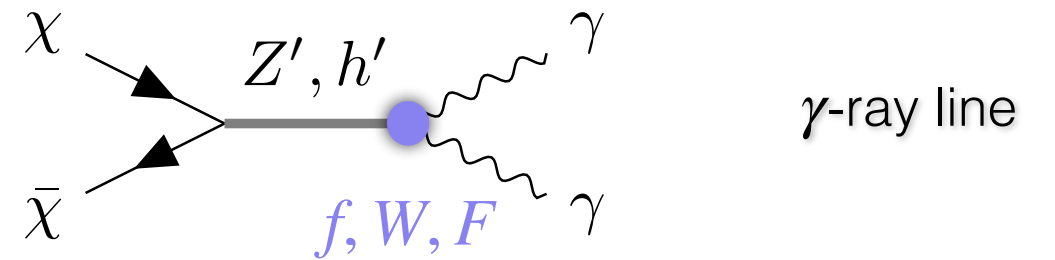
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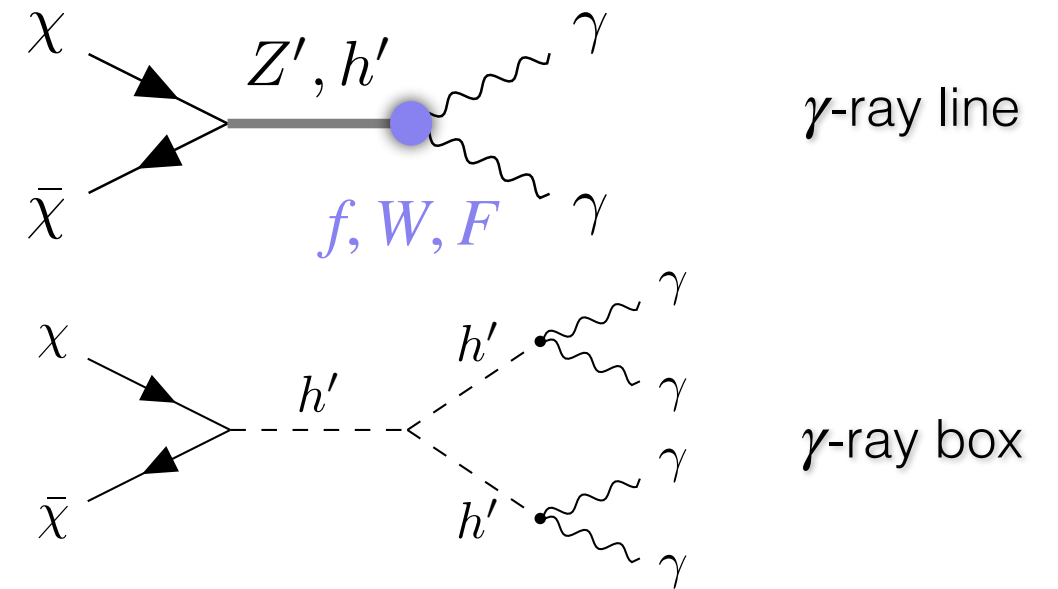
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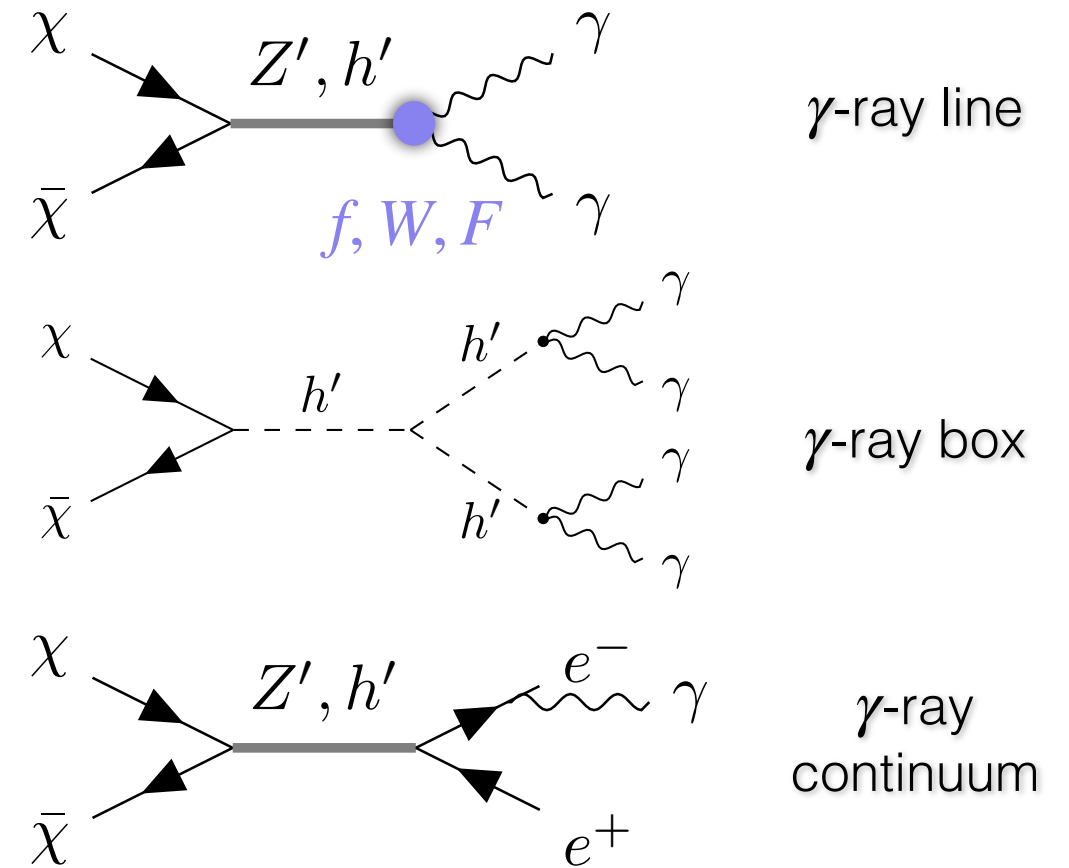
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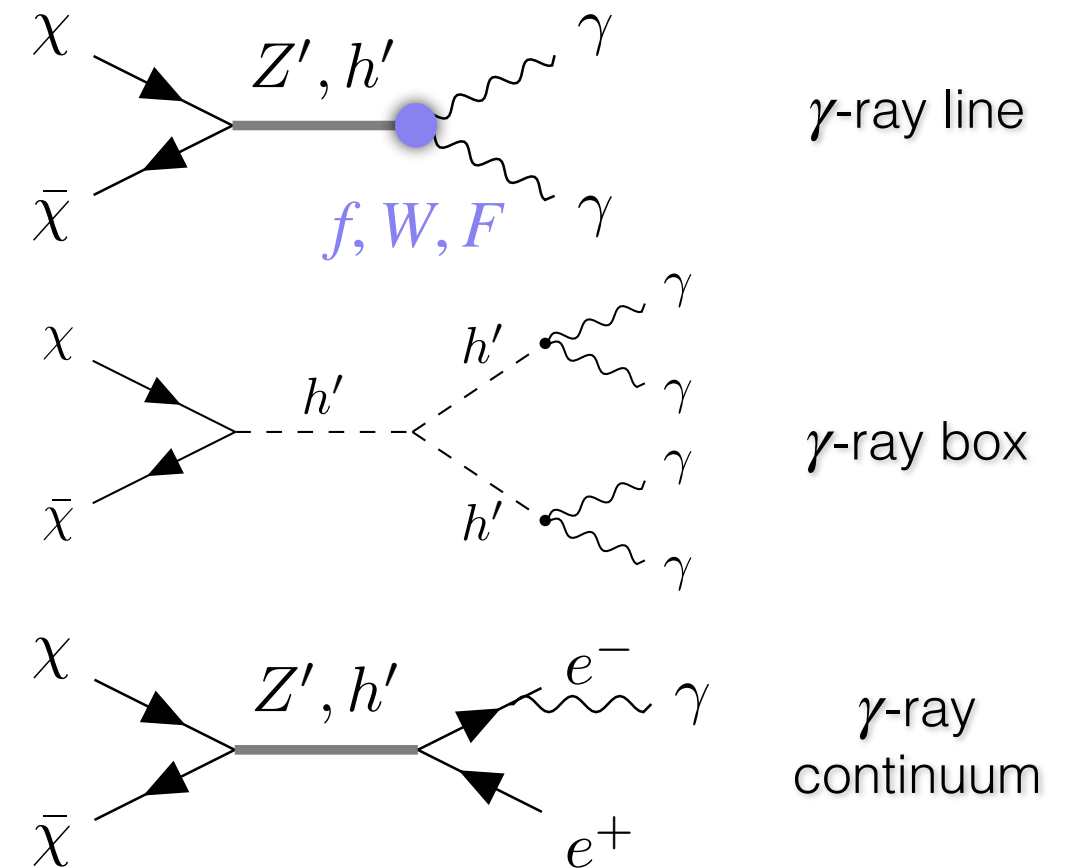
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The same symmetry-breaking sector sets the DM mass and stability, and can generate strong γ -ray lines

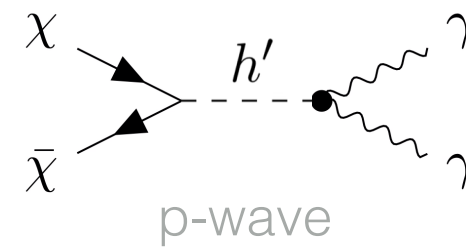
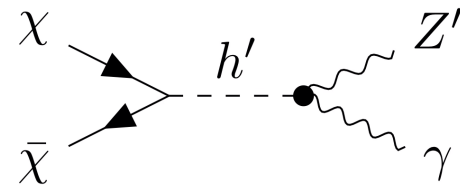
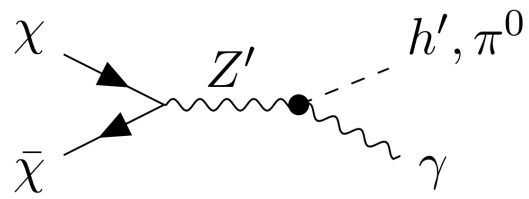
Constraining light dark matter in vector-scalar portals with COSI and AMEGO-X

M. Dutra, C. Siqueira, T. Venters

arXiv:**2508.15891**

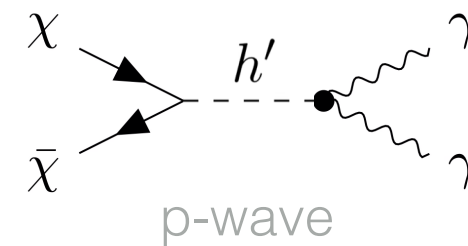
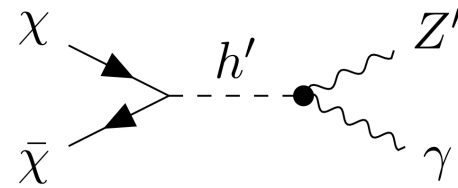
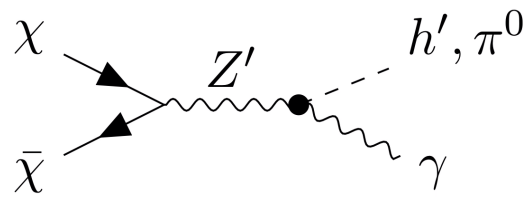
The role of axial Z' couplings

Negligible γ -ray line cross sections:

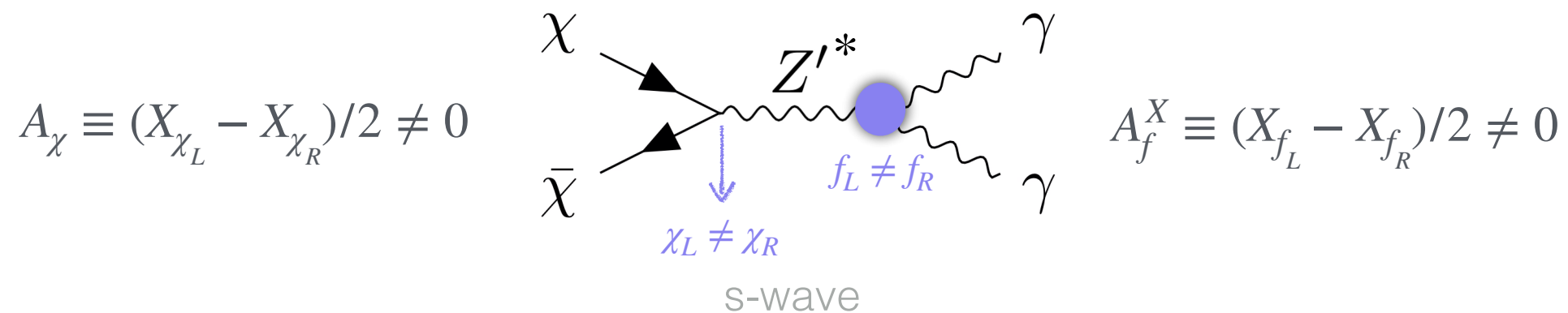


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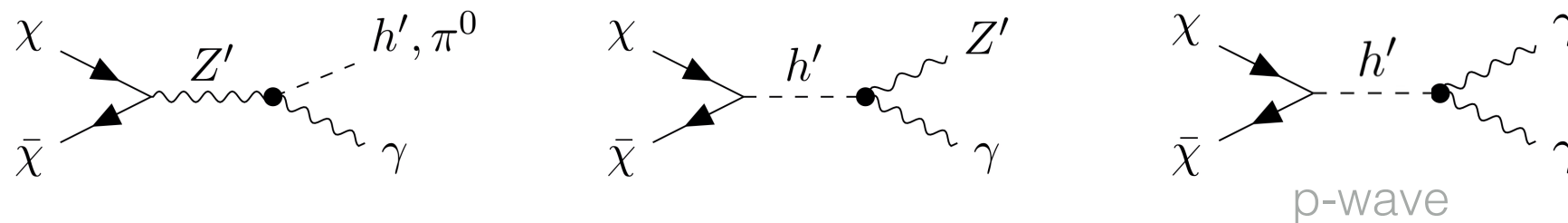


Axial Z' couplings to both DM and SM fermions: sizable s-wave line

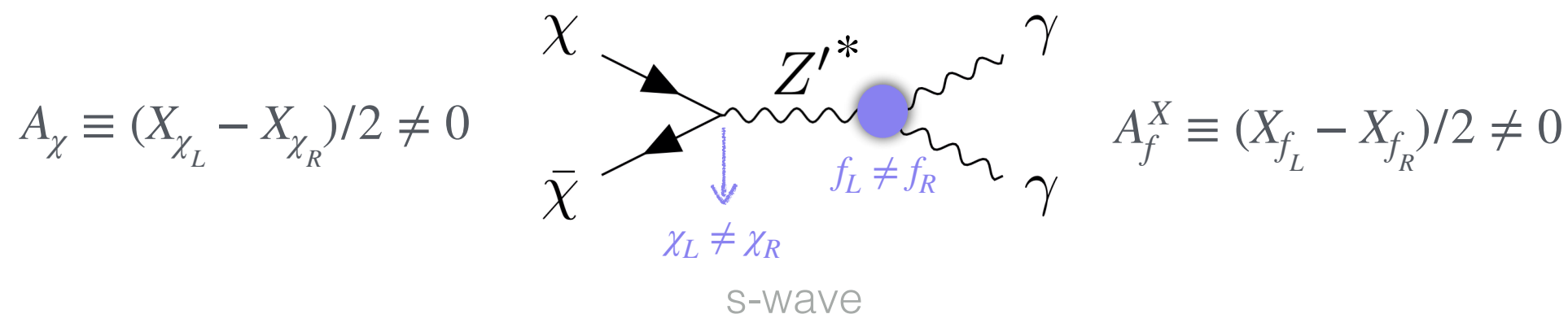


The role of axial Z' couplings

Negligible γ -ray line cross sections:



Axial Z' couplings to both DM and SM fermions: sizable s-wave line



We consider two benchmark models:

- $U(1)_{B-L}$: vector couplings to SM fermions; anomaly-free w/ 3 RHNs; negligible lines far from h' resonances
- $U(1)_A$: low-energy axial benchmark; anomaly-free w/ heavy chiral fermions; sizable lines independent of scalar mixing

Axial couplings enable sizable present-day $\chi\bar{\chi} \rightarrow \gamma\gamma$

The role of the scalar portal

$A_\chi \neq 0$ forbids a gauge-invariant bare Dirac mass for χ

- In the minimal completion, χ acquires mass through a Yukawa coupling to the same singlet scalar whose VEV generates $m_{Z'}$

$$m_\chi \sim y_\chi v_s \ll v$$

$$m_{Z'} \sim X_{\Phi_s} g_X v_s \ll v$$

$$m_{h'} \sim \sqrt{\lambda_s} v_s$$

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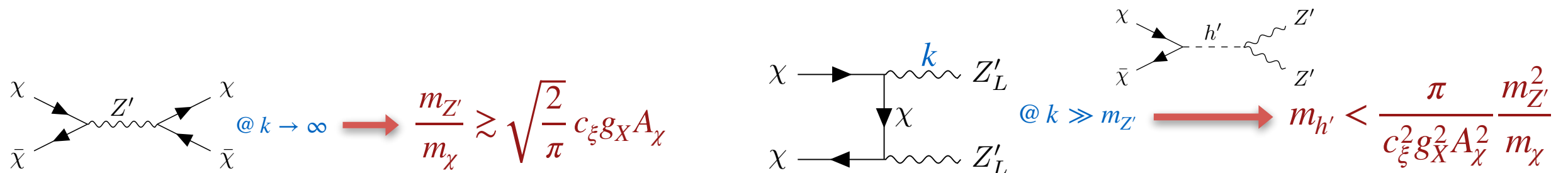
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For $A_\chi \neq 0$, amplitudes involving longitudinal Z' bosons grow with energy

- Perturbative unitarity relates m_χ and $m_{Z'}$
- Scalar exchange cancels the high-energy growth and restores perturbative unitarity, so $m_{h'}$ is related to m_χ and $m_{Z'} \Rightarrow$ light scalar for sizable couplings relevant for γ -ray phenomenology



The diagram on the left shows a tree-level exchange of a Z' boson between a χ and $\bar{\chi}$ pair. The external lines are labeled χ and $\bar{\chi}$, and the internal line is labeled Z' . The momentum of the Z' boson is indicated as k . The diagram is followed by the text $@ k \rightarrow \infty$ and a red arrow pointing to the equation:

$$\frac{m_{Z'}}{m_\chi} \gtrsim \sqrt{\frac{2}{\pi}} c_\xi g_X A_\chi$$

The diagram on the right shows a tree-level exchange of a scalar h' between a χ and $\bar{\chi}$ pair. The external lines are labeled χ and $\bar{\chi}$, and the internal line is labeled h' . The diagram is followed by the text $@ k \gg m_{Z'}$ and a red arrow pointing to the equation:

$$m_{h'} < \frac{\pi}{c_\xi^2 g_X^2 A_\chi^2} \frac{m_{Z'}^2}{m_\chi}$$

The role of the scalar portal

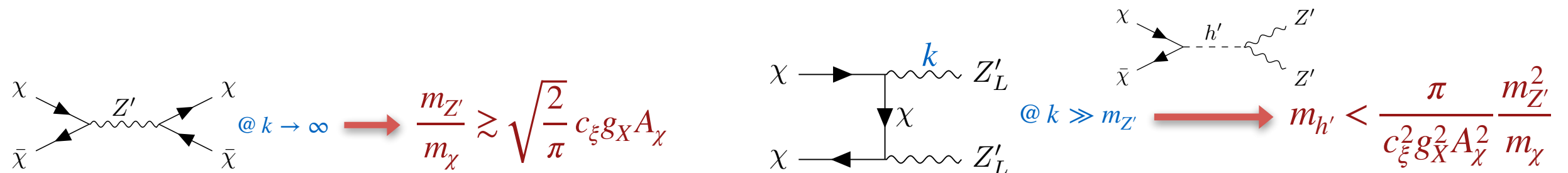
$A_\chi \neq 0$ forbids a gauge-invariant bare Dirac mass for χ

- In the minimal completion, χ acquires mass through a Yukawa coupling to the same singlet scalar whose VEV generates $m_{Z'}$

$$\begin{aligned} m_\chi &\sim y_\chi v_s \ll v \\ m_{Z'} &\sim X_{\Phi_s} g_X v_s \ll v \end{aligned} \quad m_{h'} \sim \sqrt{\lambda_s} v_s$$

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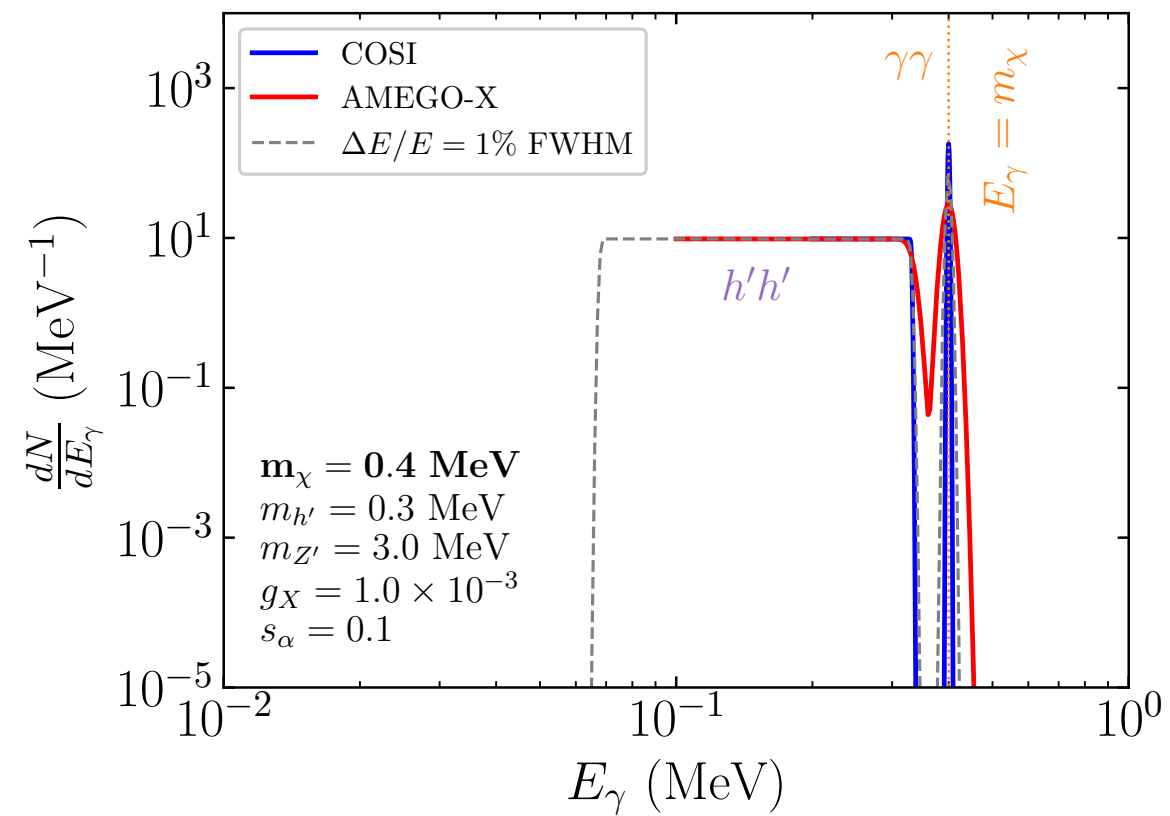


The diagram on the left shows a tree-level exchange of a Z' boson between a χ and $\bar{\chi}$ pair. The external lines are fermions, and the internal line is a wavy boson labeled Z' . To the right of this diagram is the equation: $@ k \rightarrow \infty \rightarrow \frac{m_{Z'}}{m_\chi} \gtrsim \sqrt{\frac{2}{\pi}} c_\xi g_X A_\chi$.

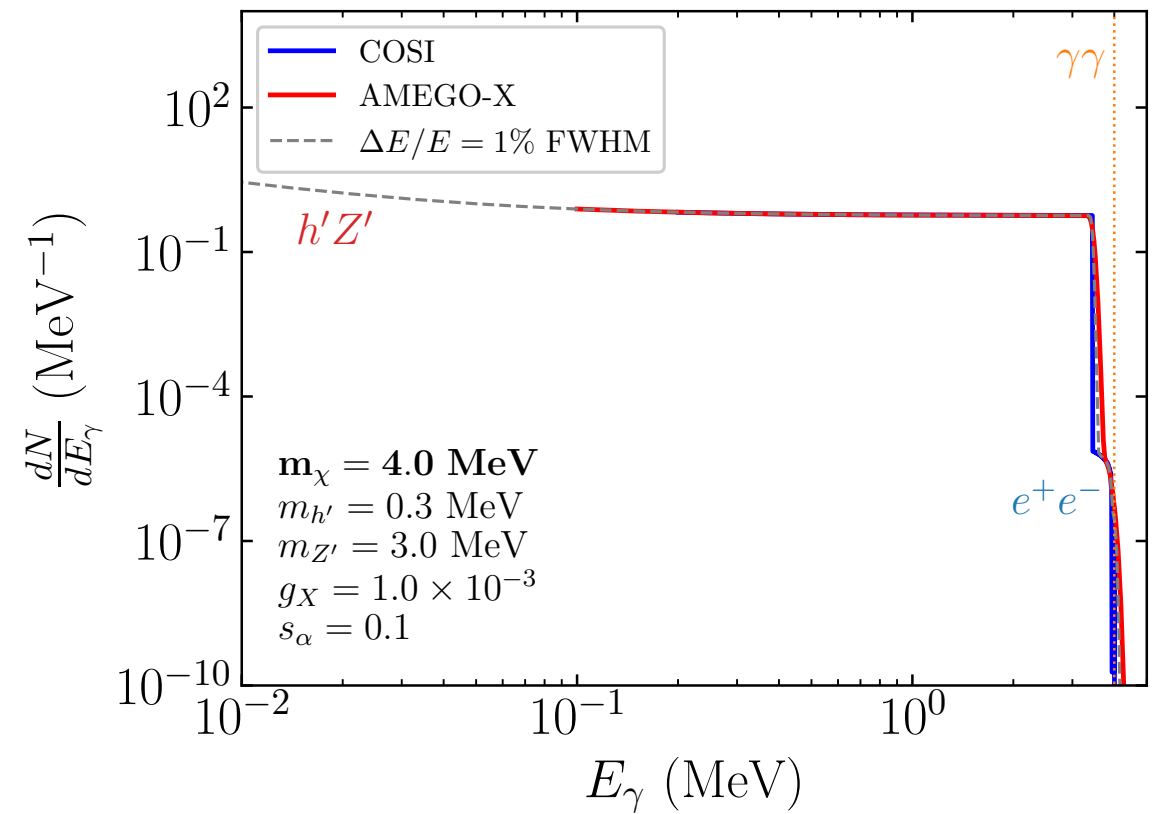
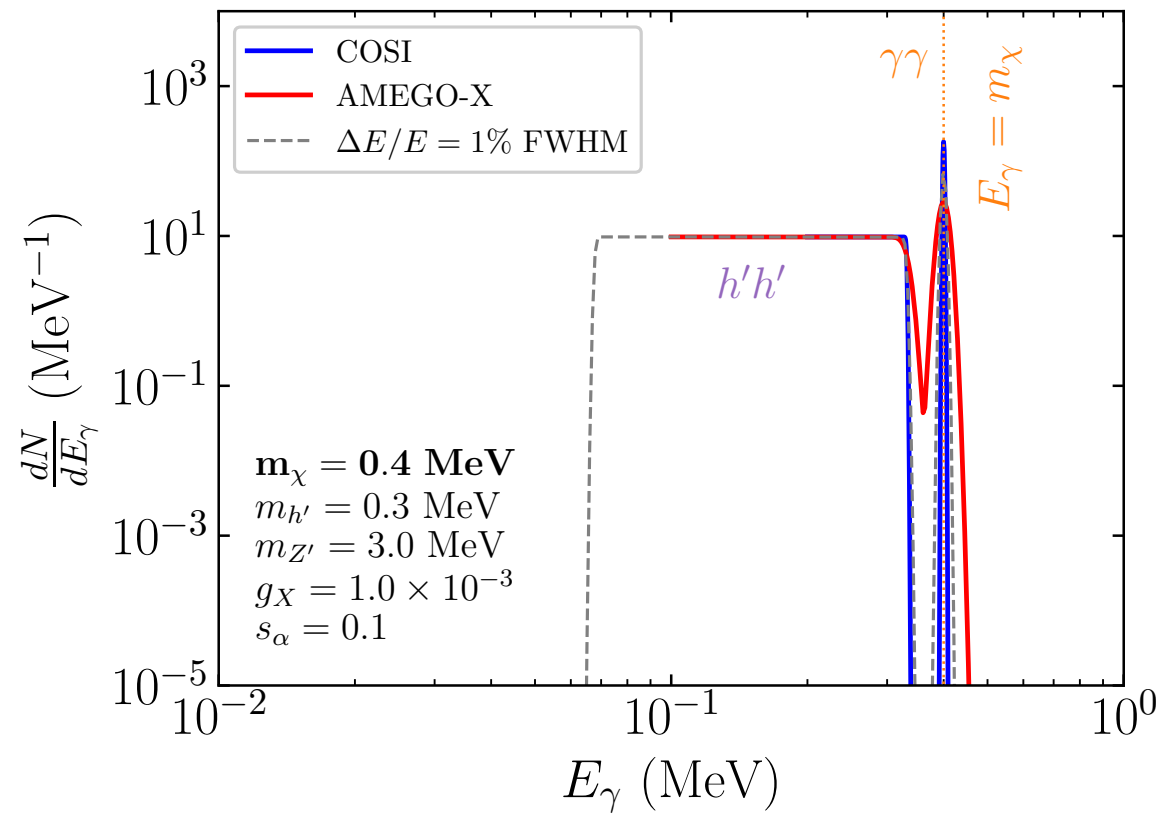
The diagram in the middle shows a box diagram with two incoming χ lines and two outgoing χ lines. The internal lines consist of a fermion χ and a longitudinal Z'_L boson. The momentum of the Z'_L lines is labeled k . To the right of this diagram is the equation: $@ k \gg m_{Z'} \rightarrow m_{h'} < \frac{\pi}{c_\xi^2 g_X^2 A_\chi^2} \frac{m_{Z'}^2}{m_\chi}$.

A minimal renormalizable framework with sizable MeV γ -ray lines contains light dark sector particles χ , Z' , and h'

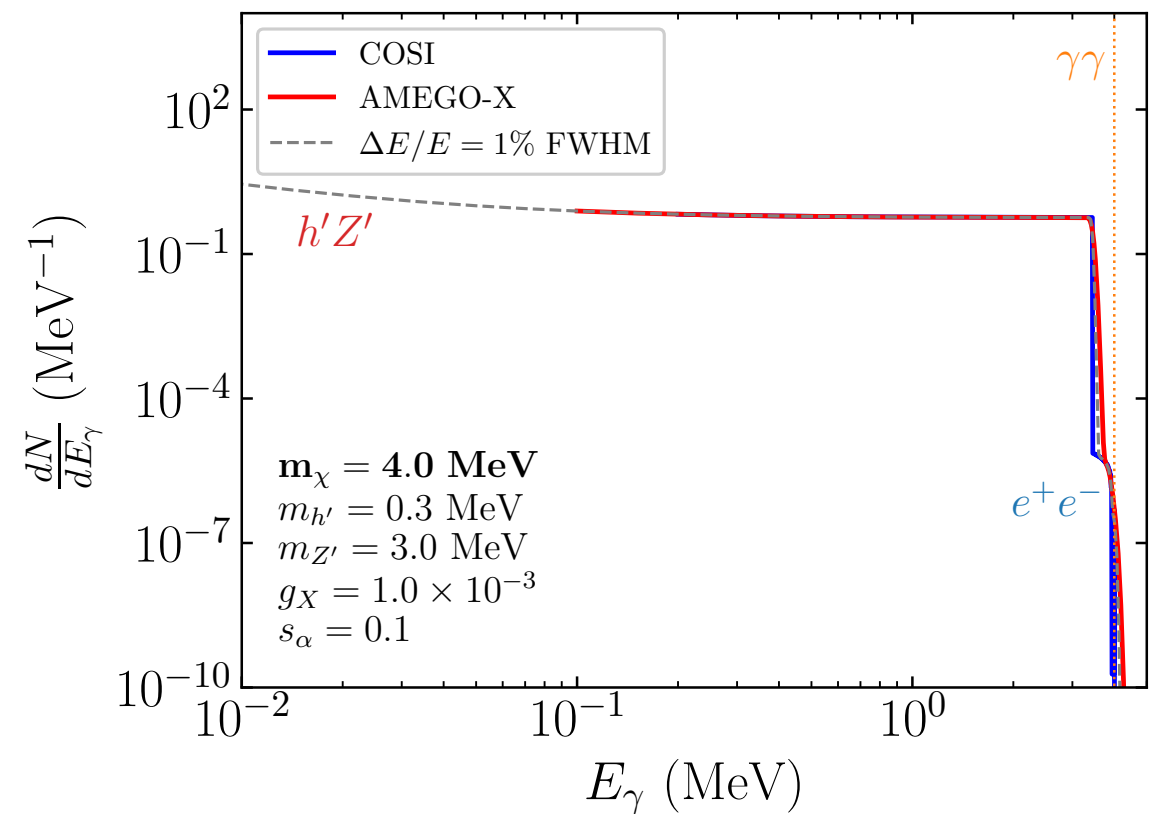
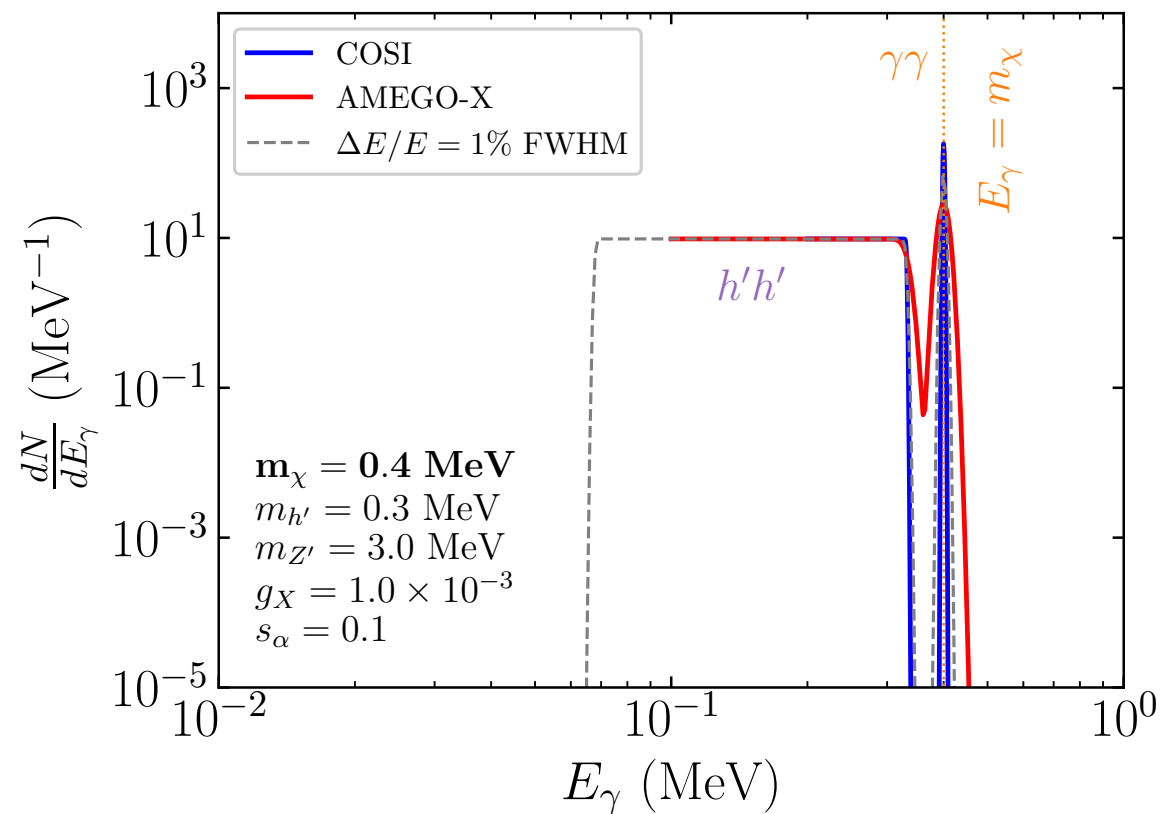
Gamma-ray spectroscopy of a light dark sector



Gamma-ray spectroscopy of a light dark sector



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Measuring the soft γ -ray spectrum with good energy resolution is a way of probing the mass spectrum of a light dark sector



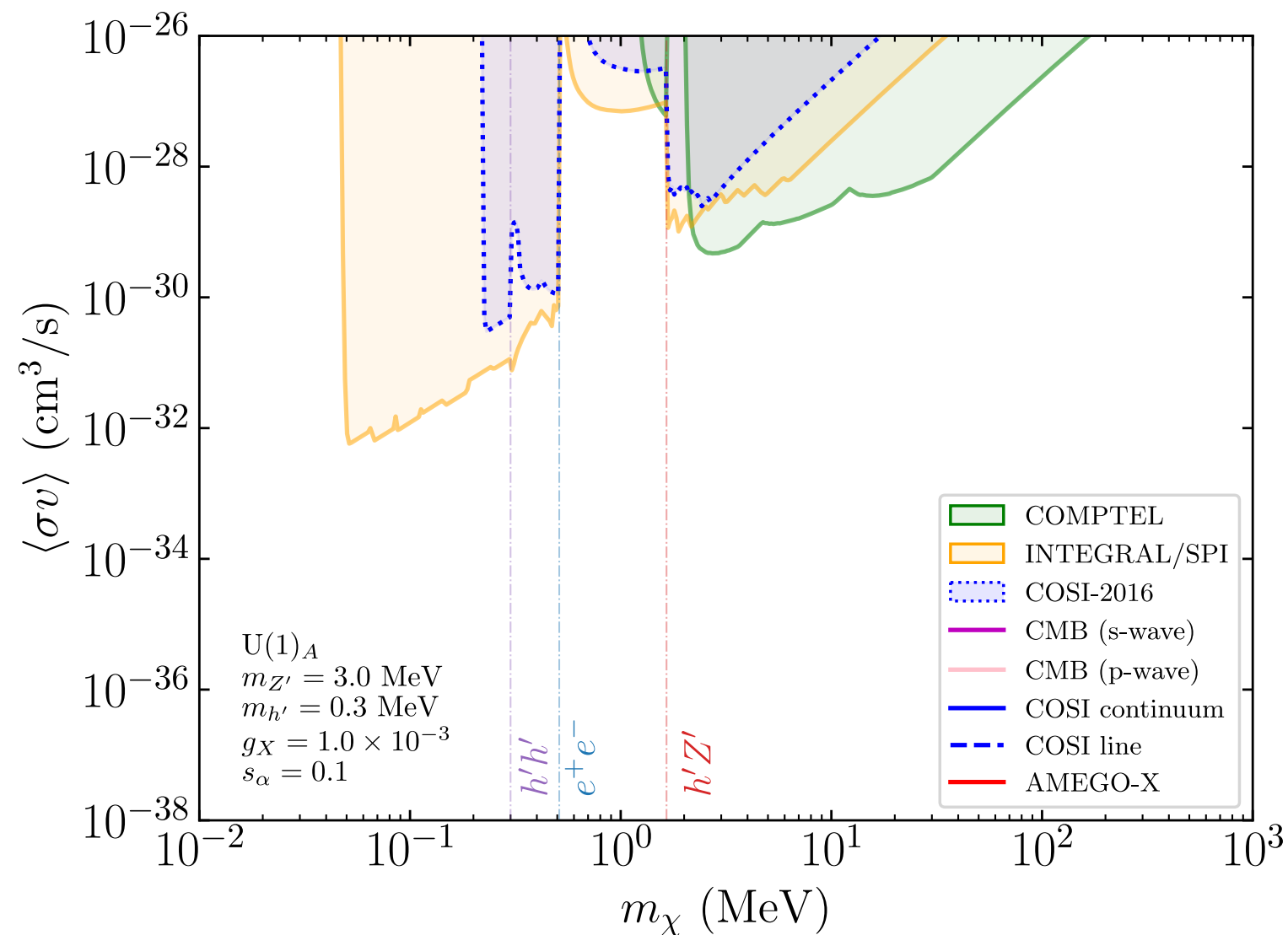
Hazma: a python toolkit for studying indirect detection of sub-GeV dark matter

Coogan, Morrison, Profumo [arXiv:1907.11846](https://arxiv.org/abs/1907.11846)



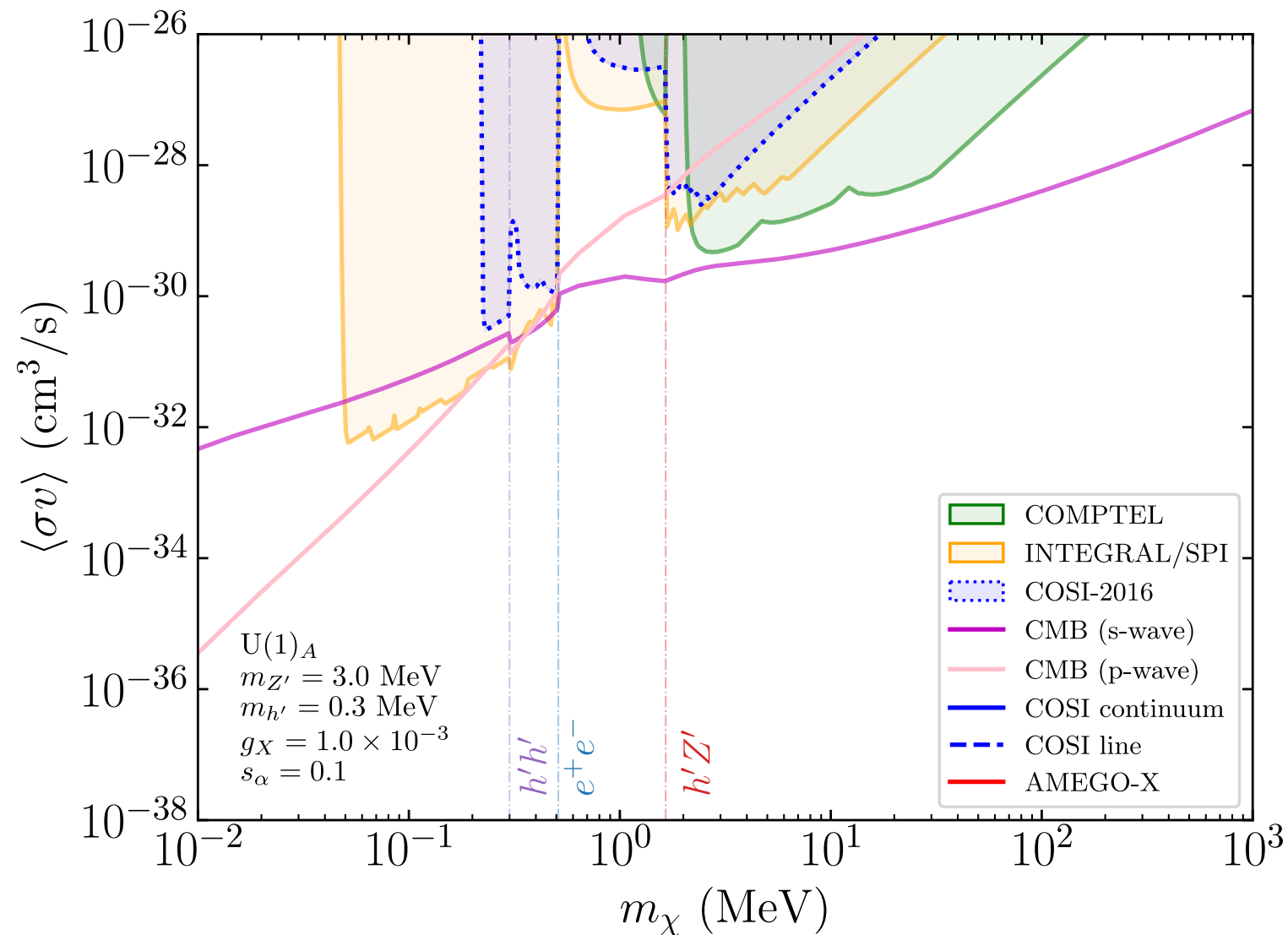
Implementation of a generic vector-scalar portal model in Hazma

Current limits and projected reach



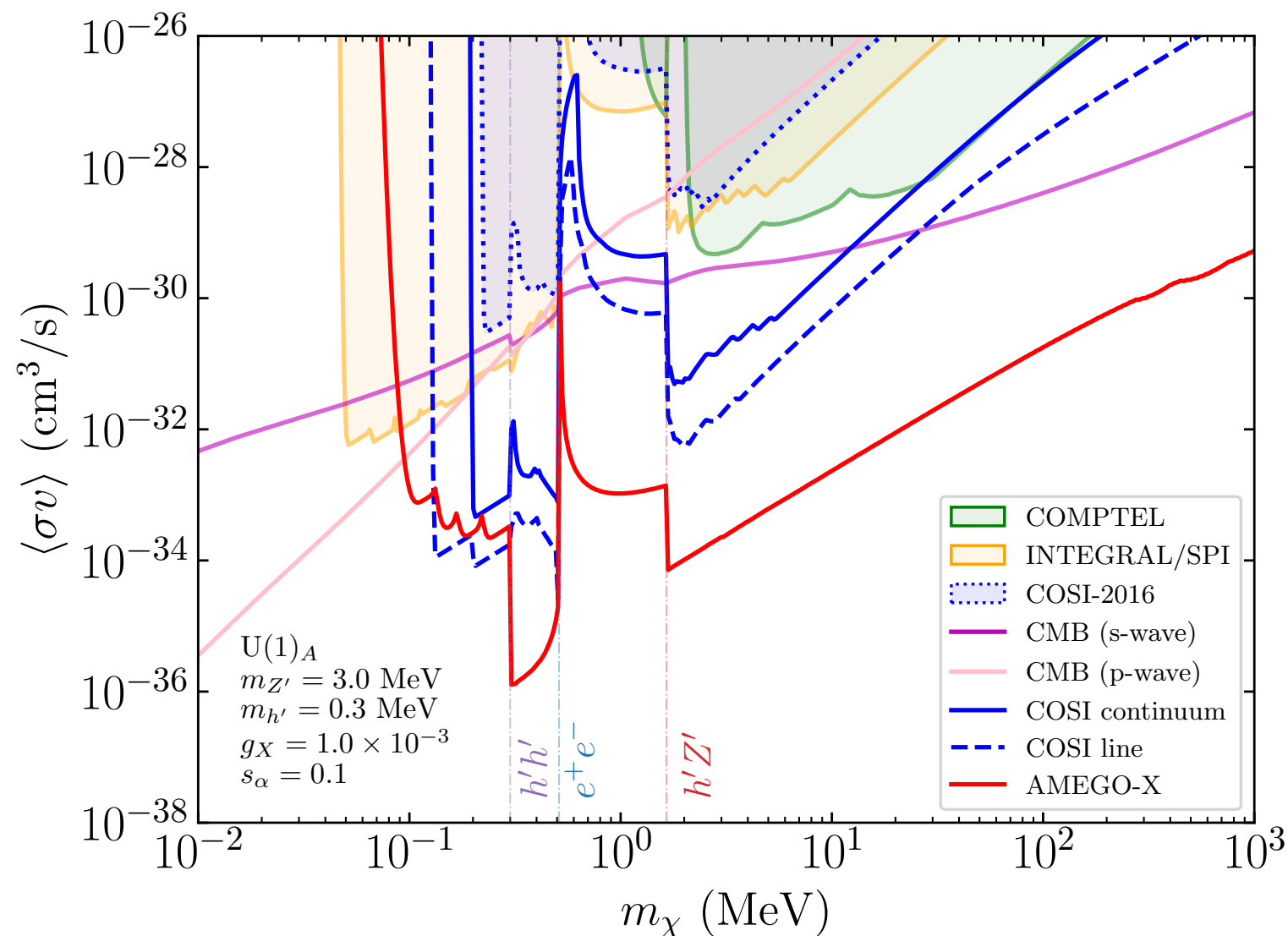
- Excluded by MeV γ -ray telescopes:**
 values of $\langle\sigma v\rangle$ for which $\Phi_\gamma|_{\bar{\chi}\chi}$
 exceeds the diffuse γ -ray emission
 measured by existing telescopes

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- In tension w/ CMB bounds:** values of $\langle\sigma v\rangle$ into e^-e^+ and γ that would affect the CMB spectra; when σ is velocity-dependent (p-wave), $\langle\sigma v\rangle \neq \langle\sigma v\rangle_{CMB}$

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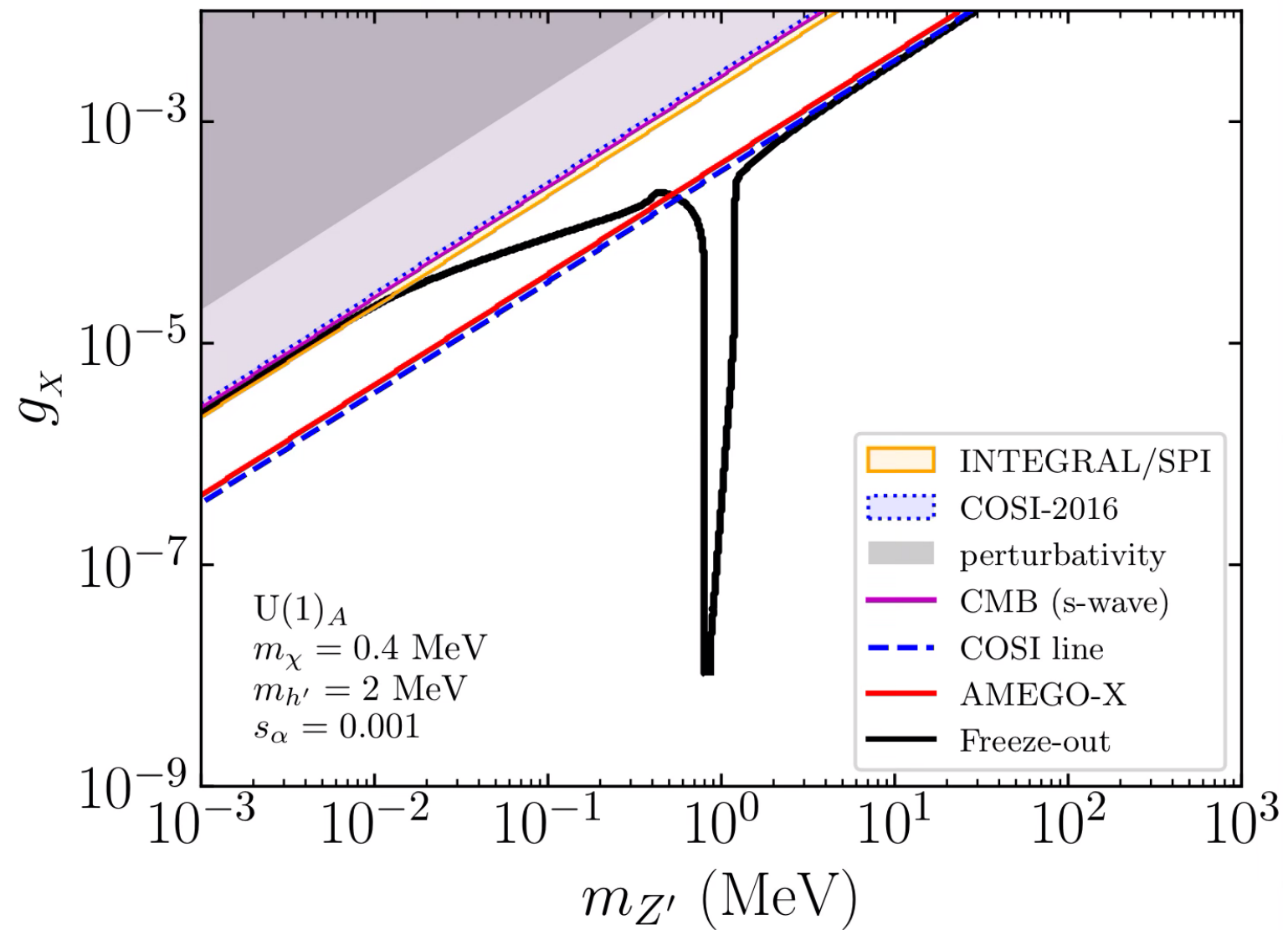


- **Excluded by MeV γ -ray telescopes:** values of $\langle\sigma v\rangle$ for which $\Phi_\gamma|_{\bar{\chi}\chi}$ exceeds the diffuse γ -ray emission measured by existing telescopes
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- **Projected reach for future γ -ray telescopes:** values of $\langle\sigma v\rangle$ for which $\Phi_\gamma|_{\bar{\chi}\chi}$ exceeds the expected sensitivity of COSI (line and continuum) and AMEGO-X (continuum)

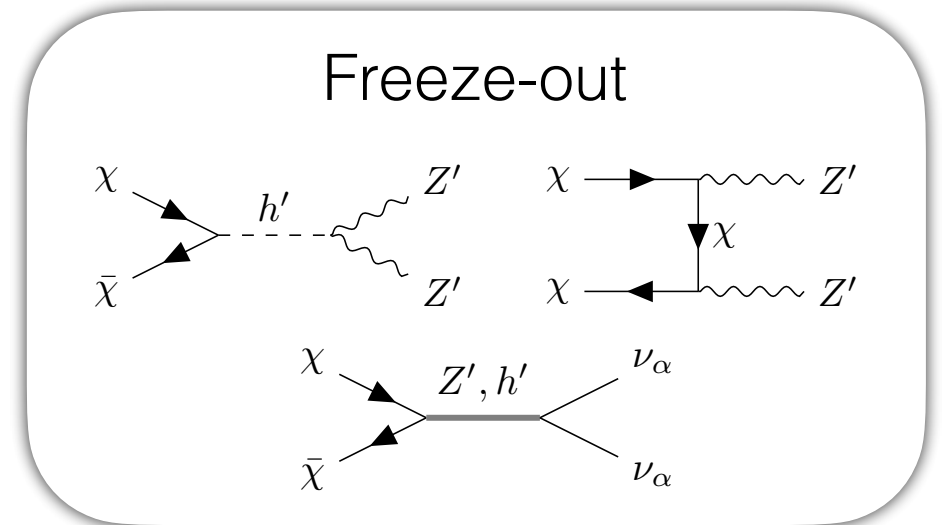
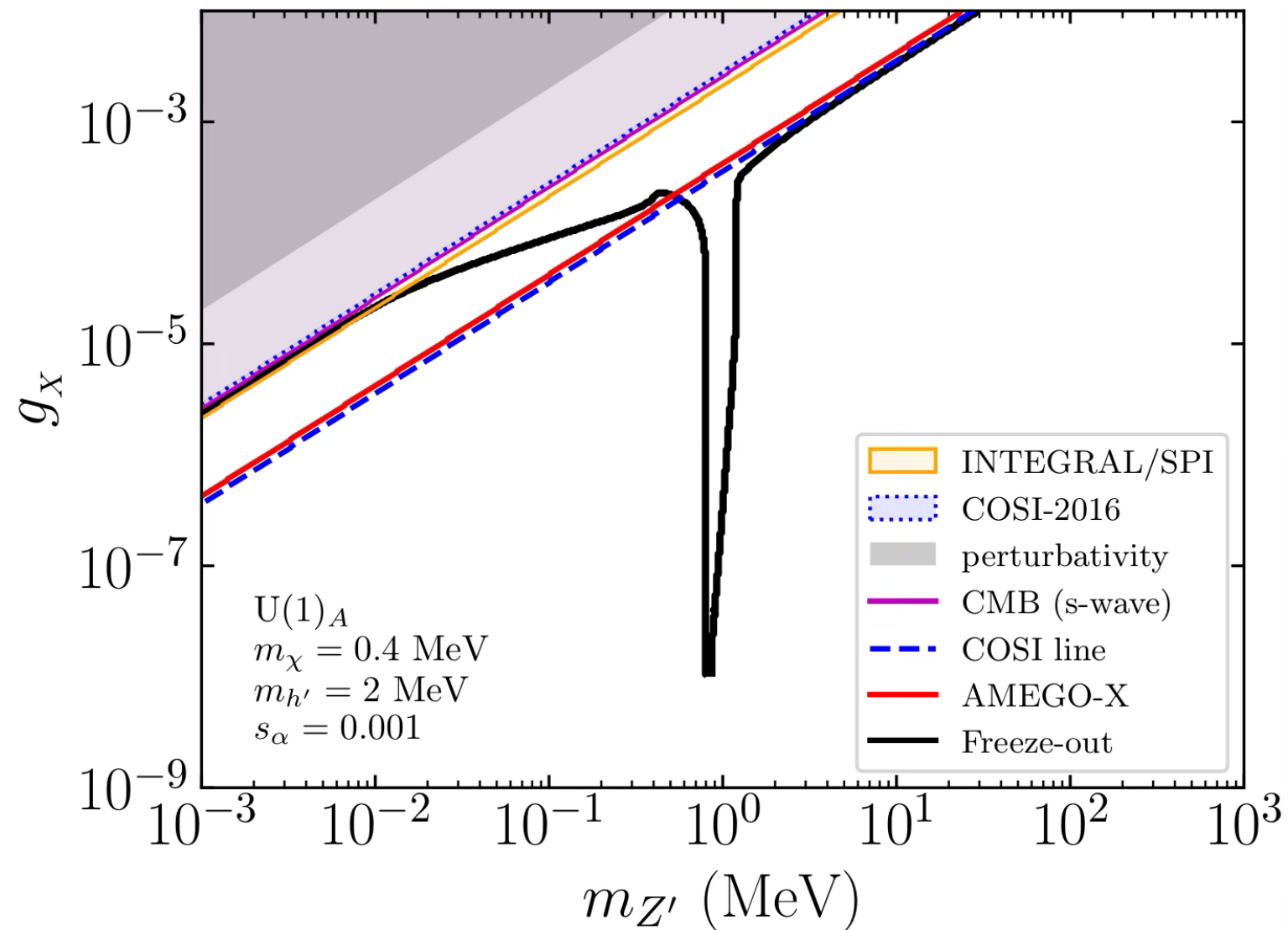
The future reach shown here is an indicative sensitivity estimate based on published point-source sensitivities rescaled to a 10° Galactic Center disk.

A full response-level likelihood analysis for COSI is ongoing!

Below the electron threshold: lines

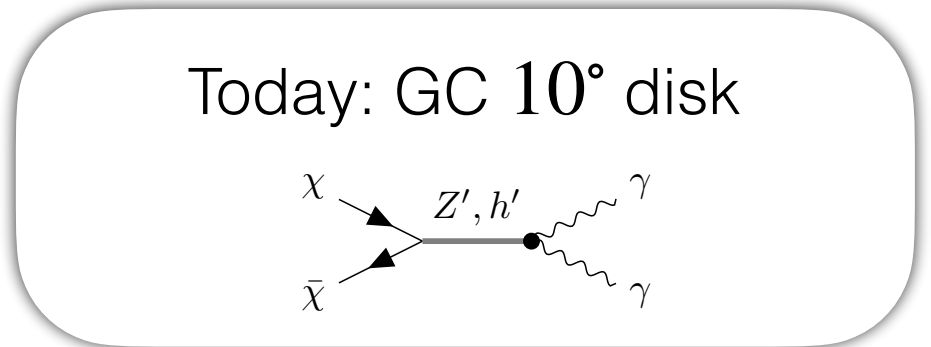
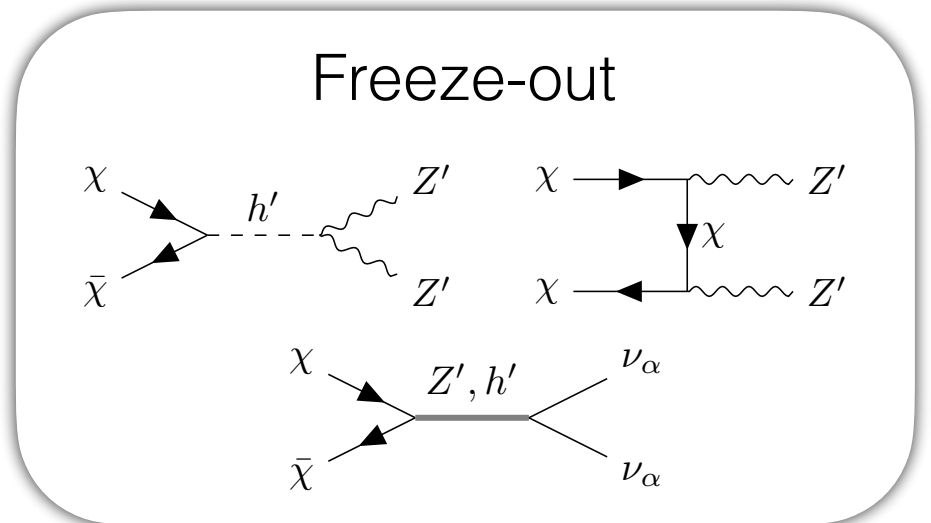
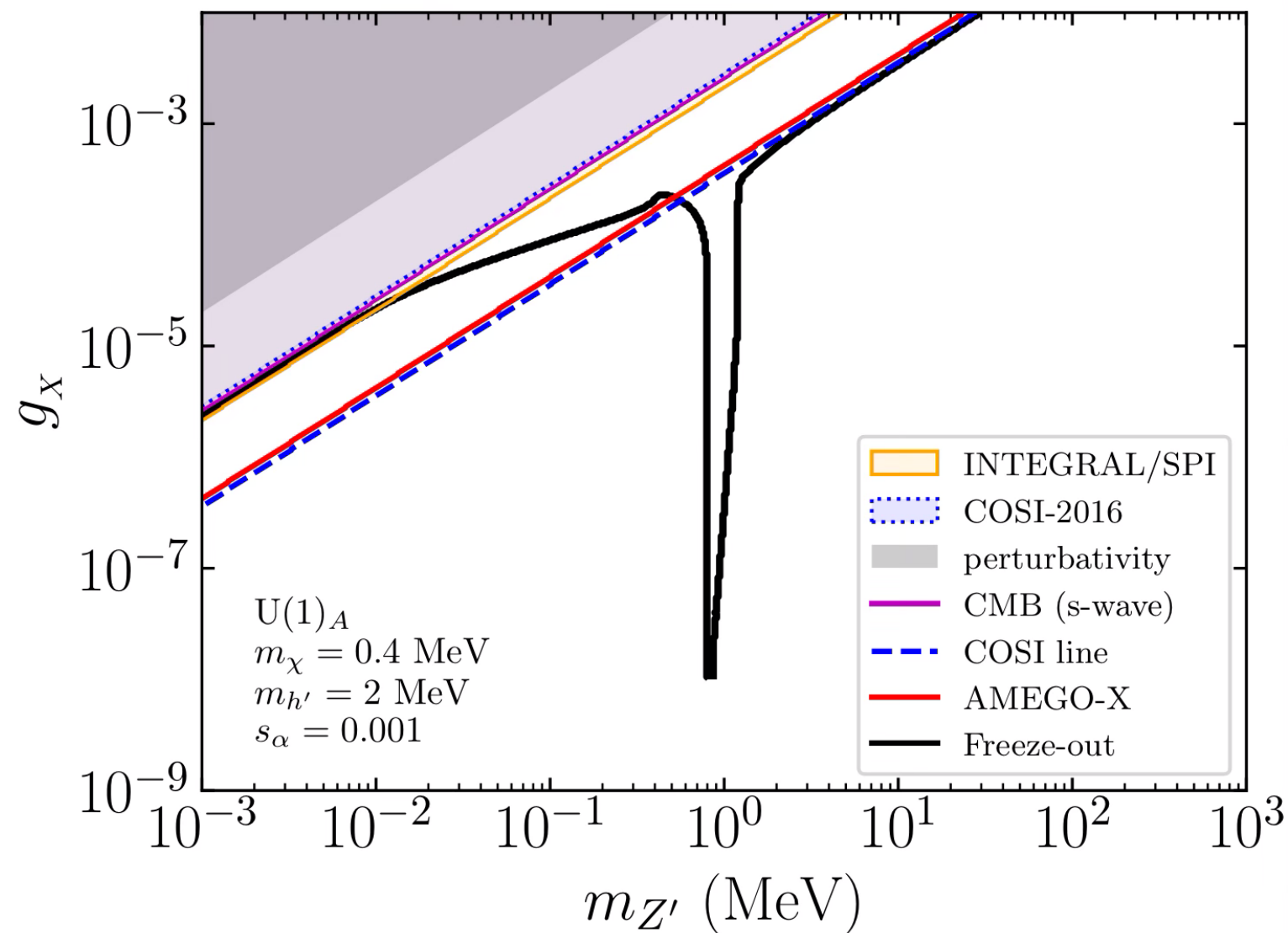


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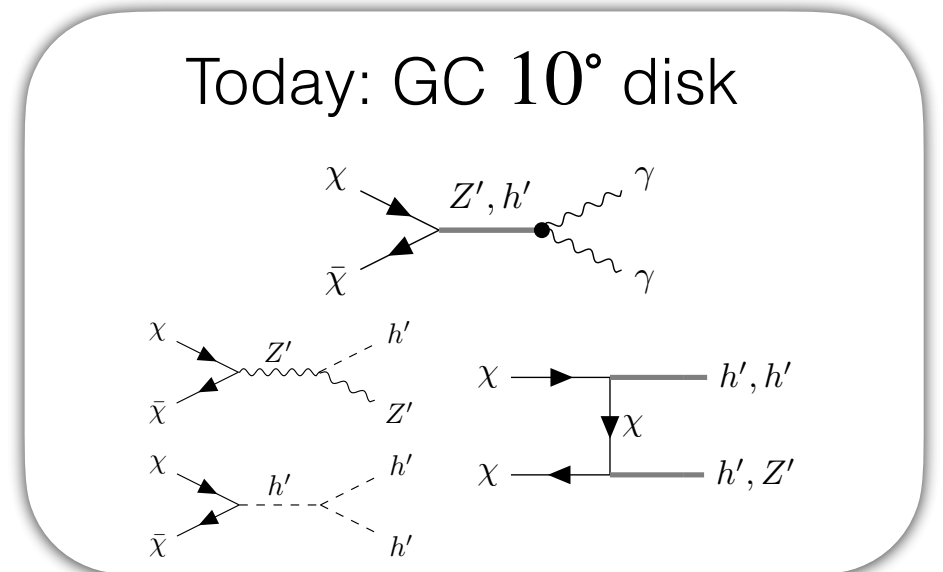
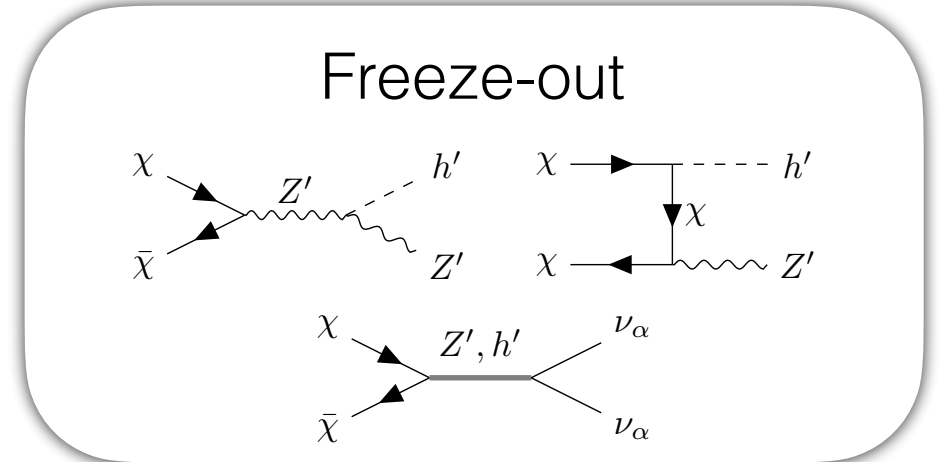
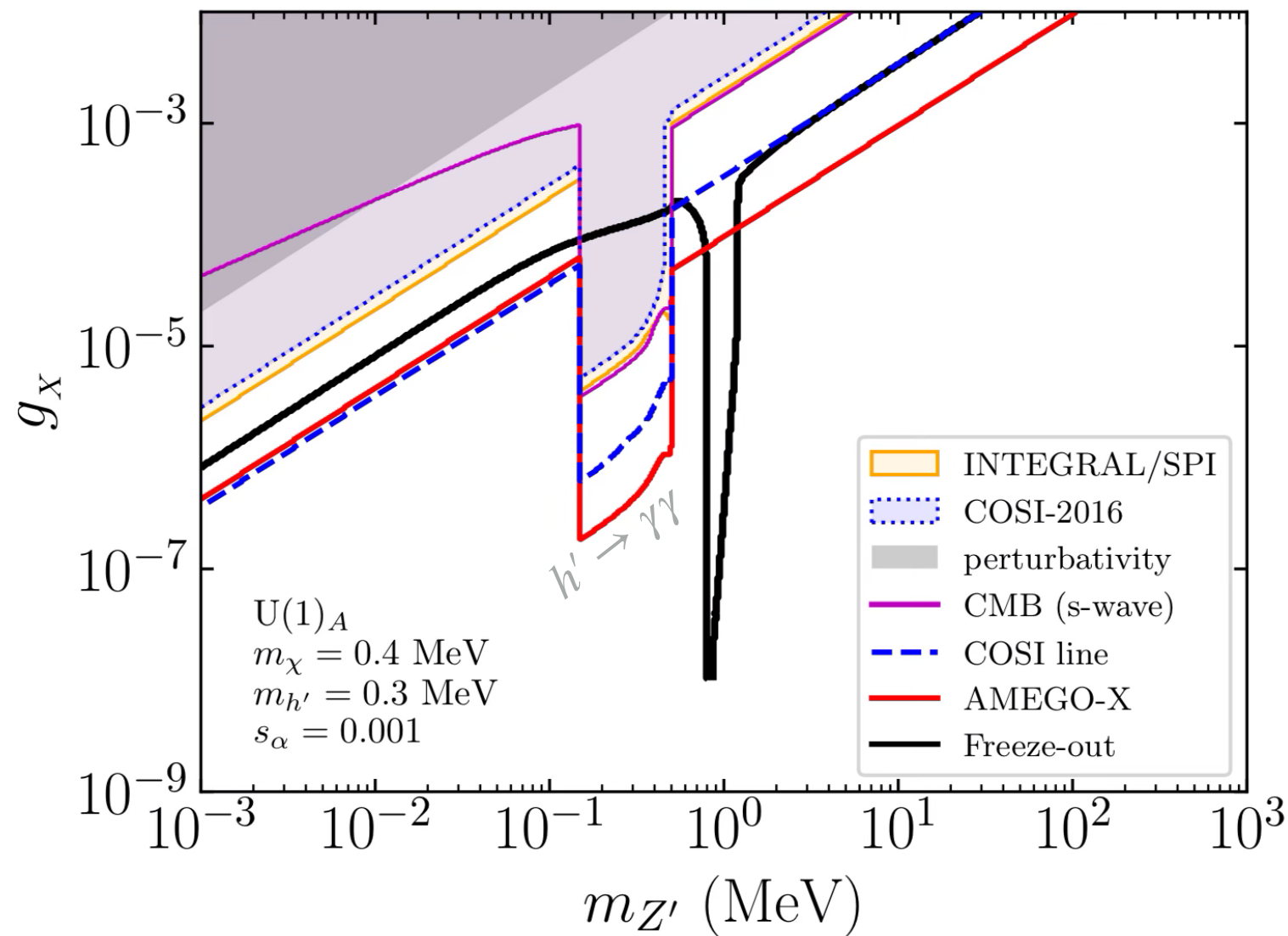
- We assume freeze-out in standard cosmology (going beyond that motivates improved limits!)

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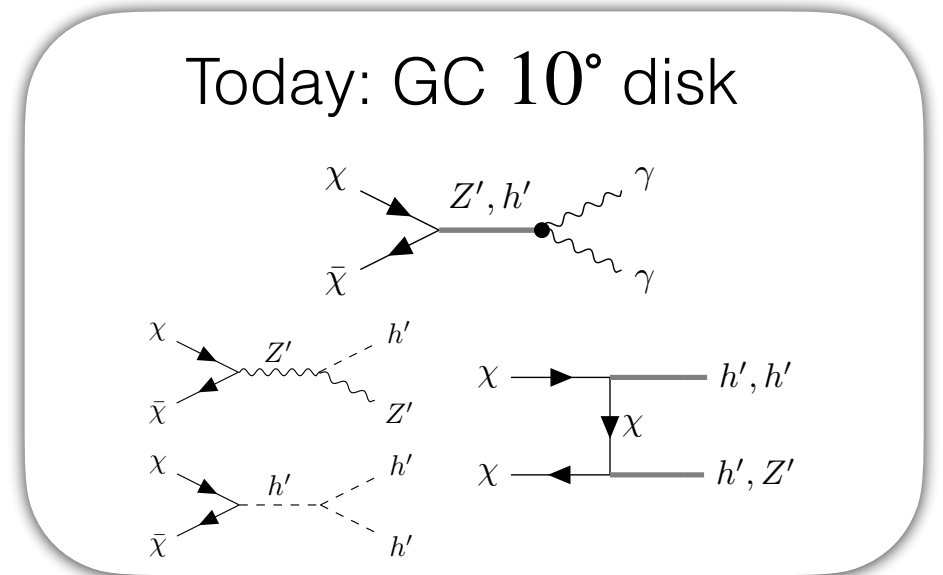
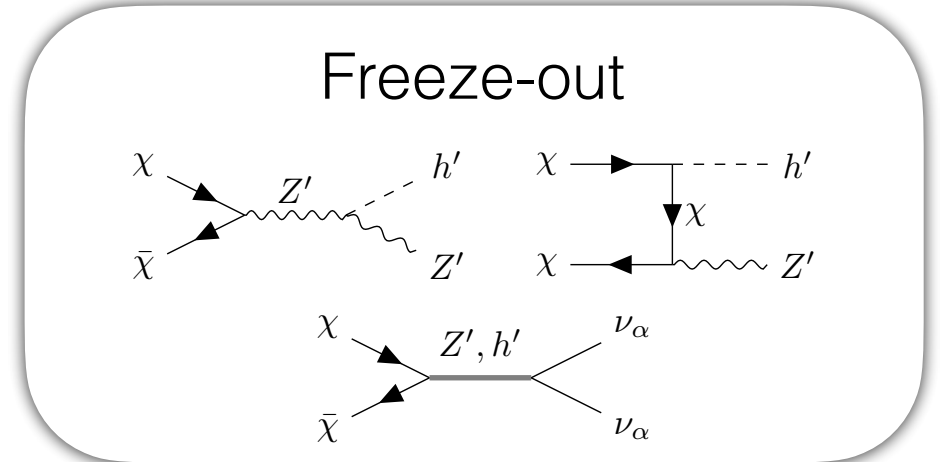
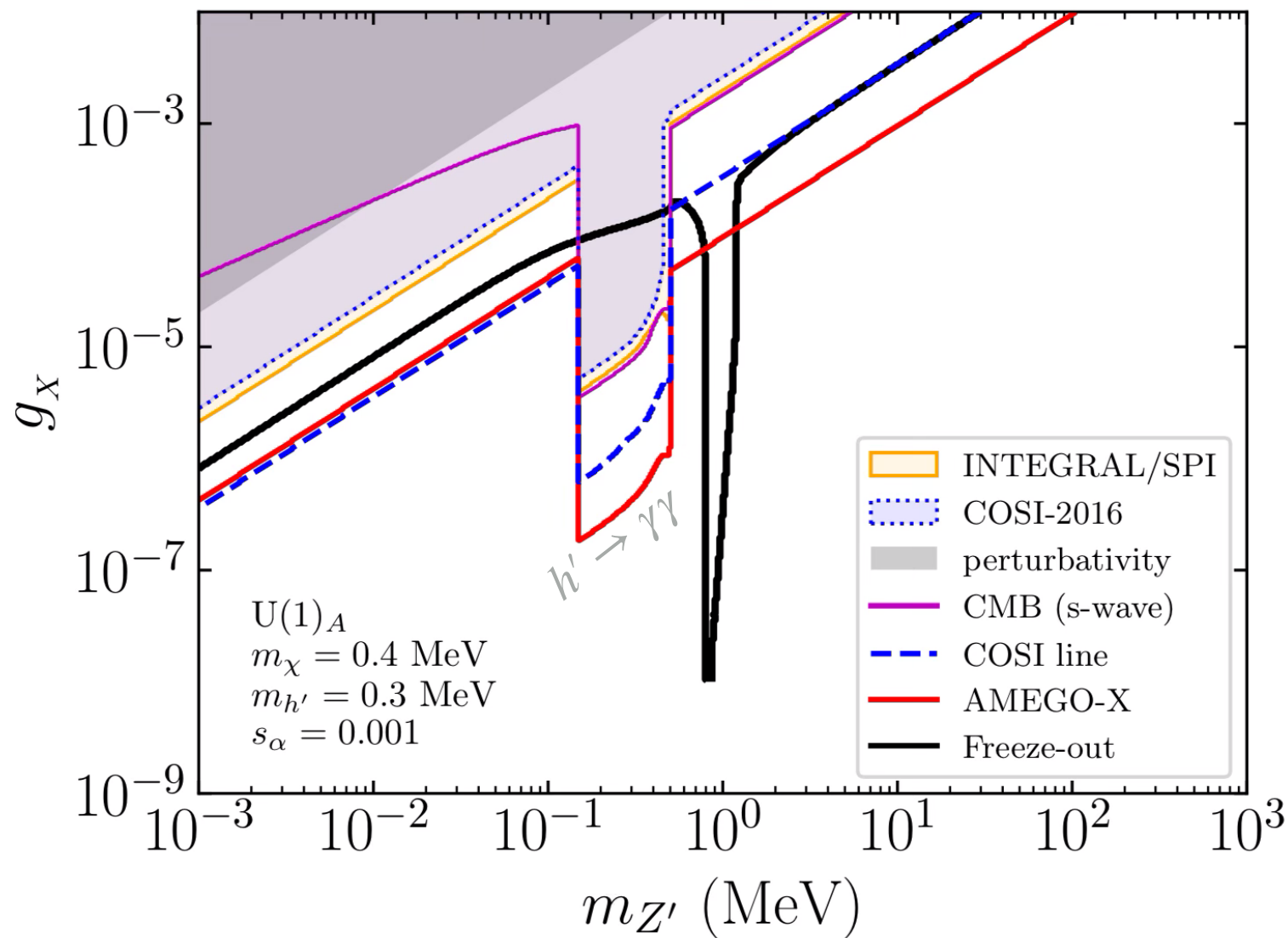
- We assume freeze-out in standard cosmology (going beyond that motivates improved limits!)
- The current ID limits exclude the viable parameter space for $m_{Z'} \lesssim 10 \text{ MeV}$ in this benchmark
- COSI is projected to probe the remaining viable parameter space beyond CMB bounds, except for the resonance region

Below the electron threshold: lines and boxes



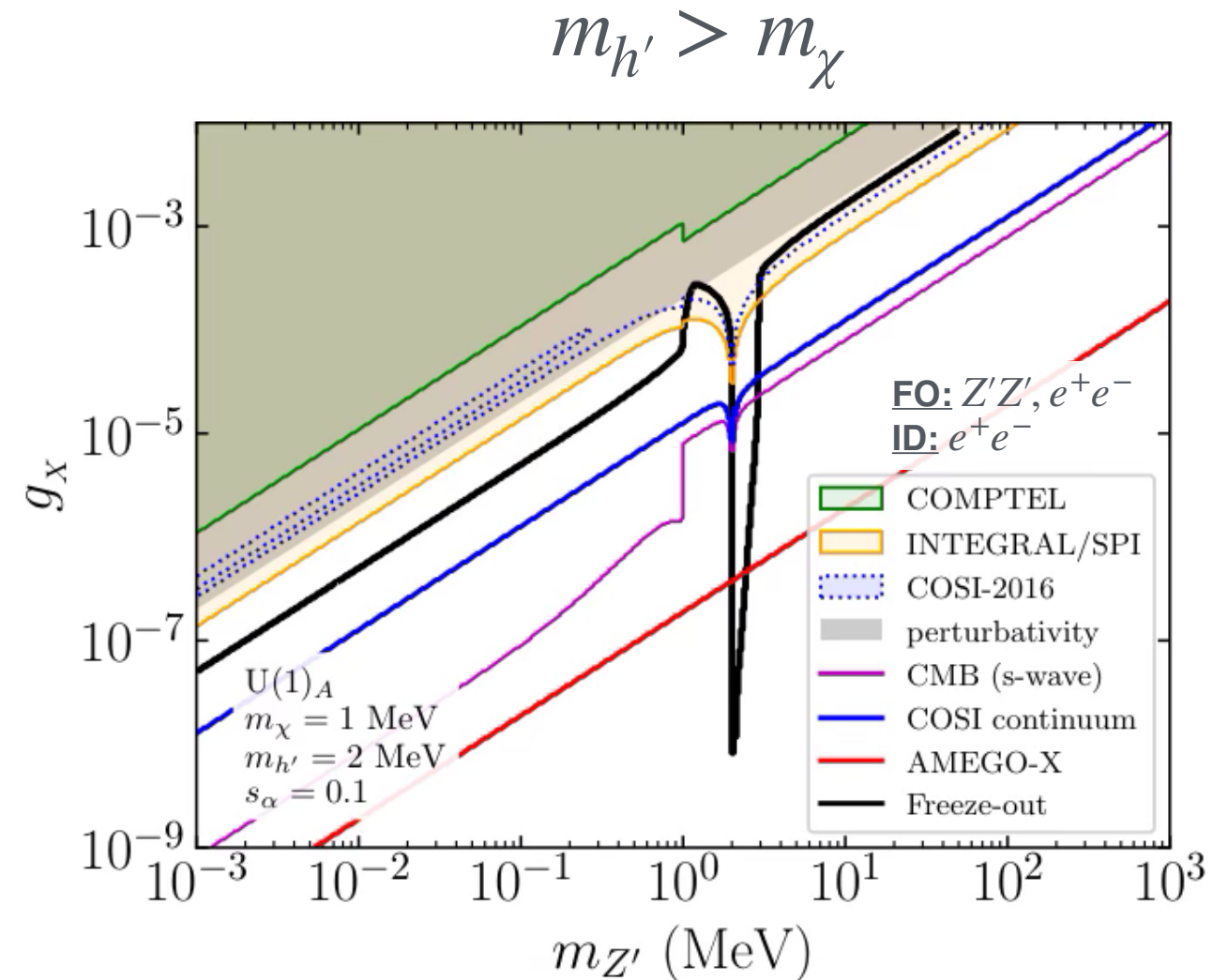
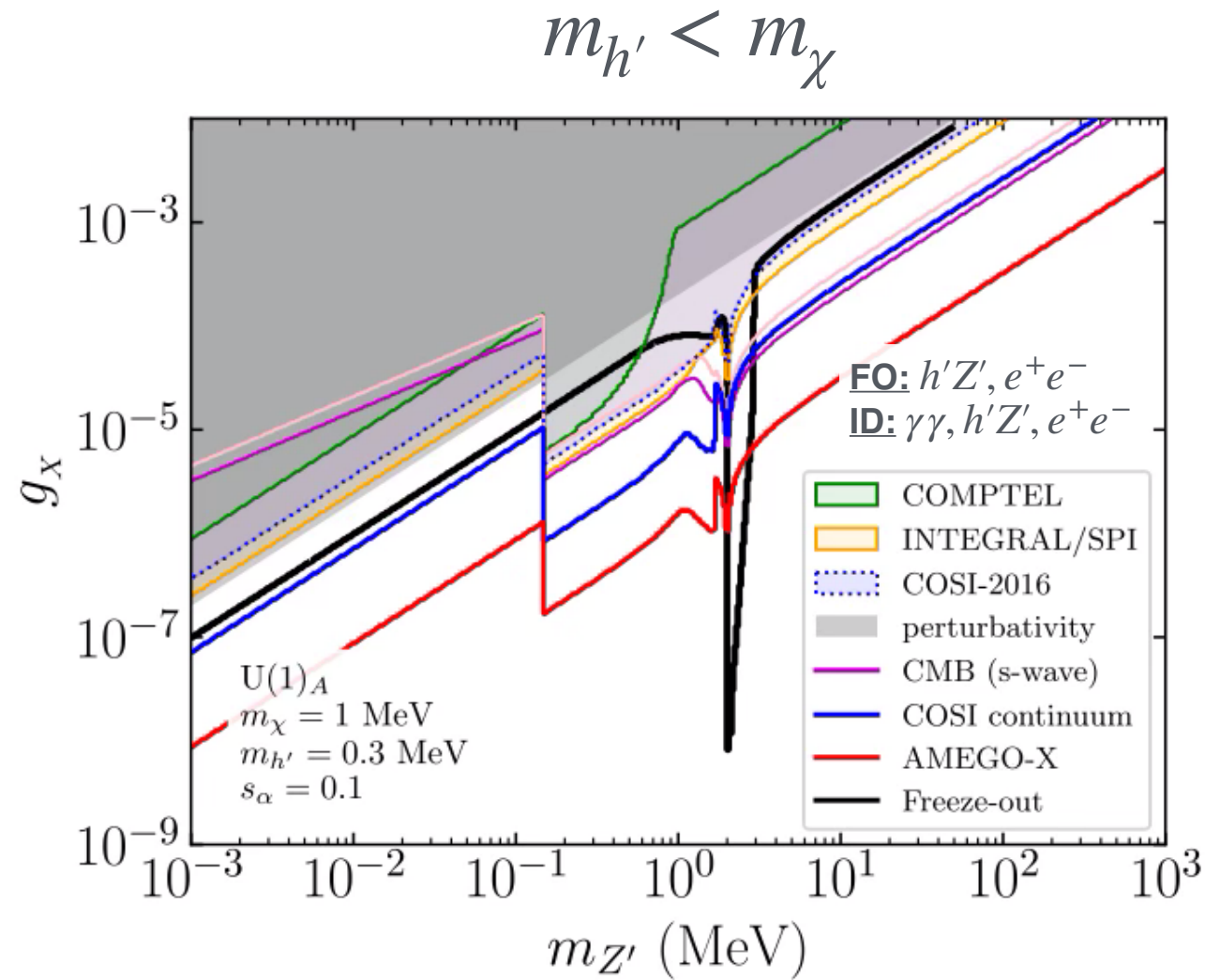
- A light scalar changes significantly the MeV γ -ray phenomenology

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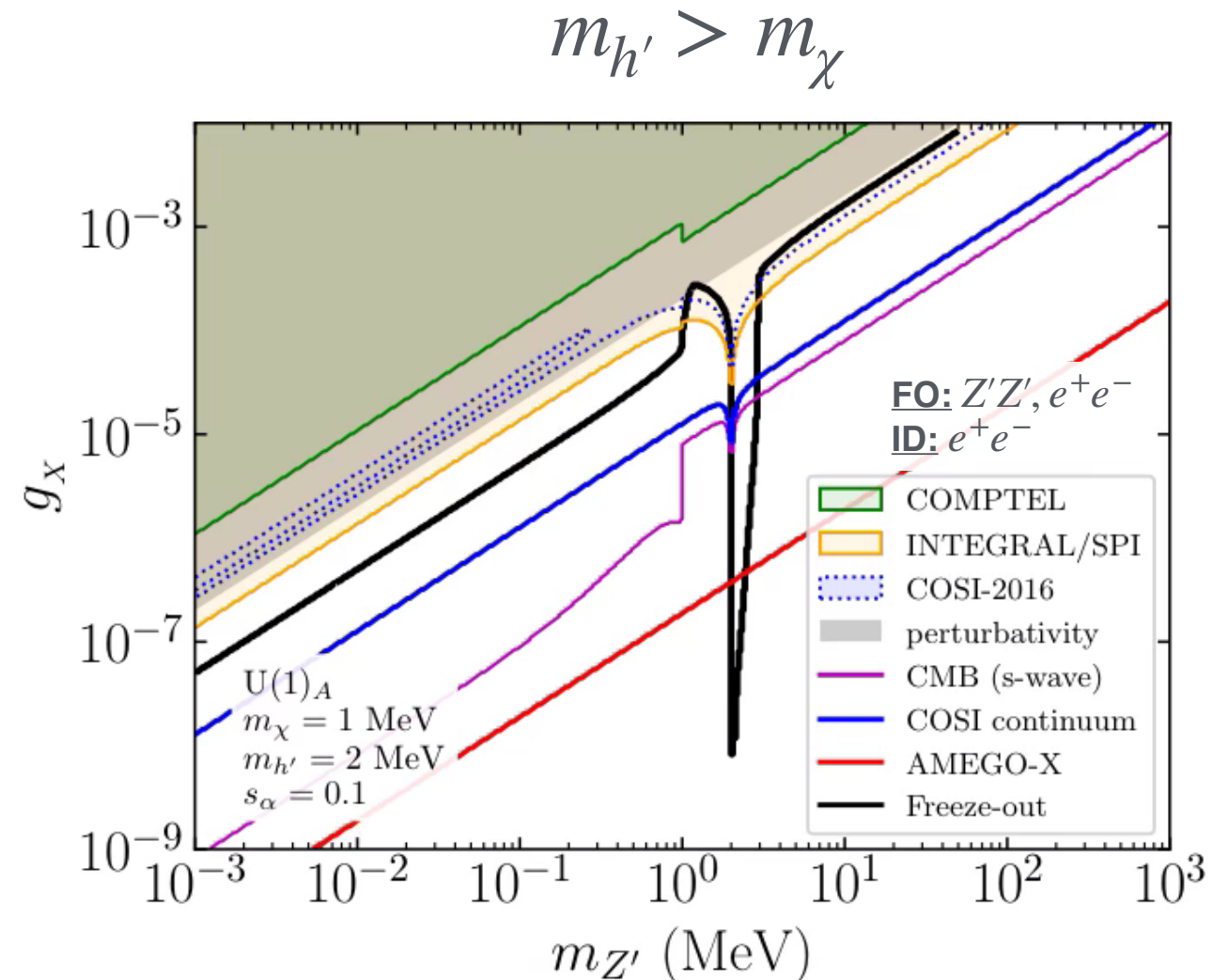
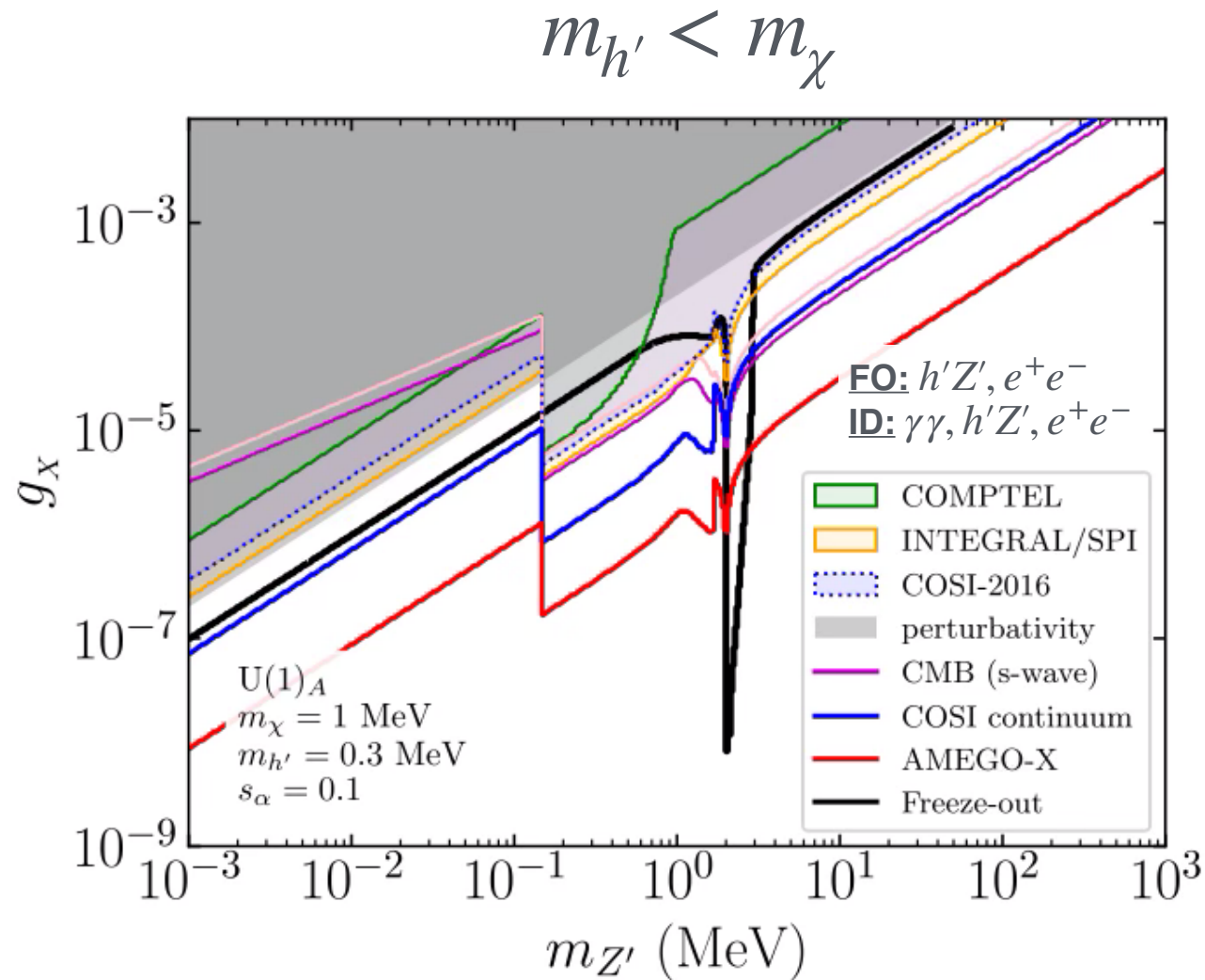


- A light scalar changes significantly the MeV γ -ray phenomenology
- In this benchmark, for $m_{h'}/2 < m_{Z'} < 2m_\chi - m_{h'}$, the γ -ray boxes from the $h'Z'$ channel are strongly enhanced, ruling out the viable parameter space
- COSI will probe the remaining viable parameter space, except for the resonance region, beyond CMB bounds

Above the electron threshold: CMB vs continuum

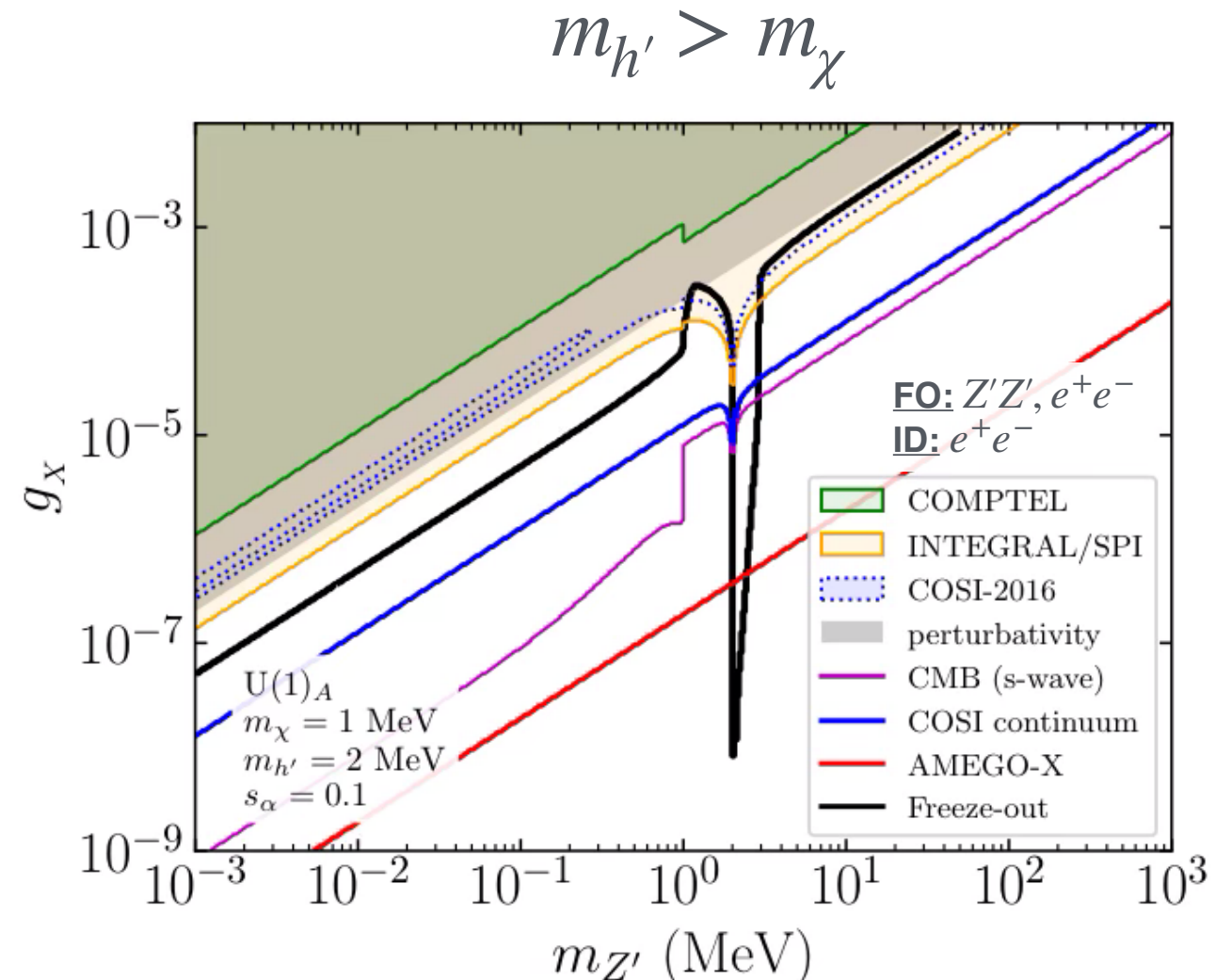
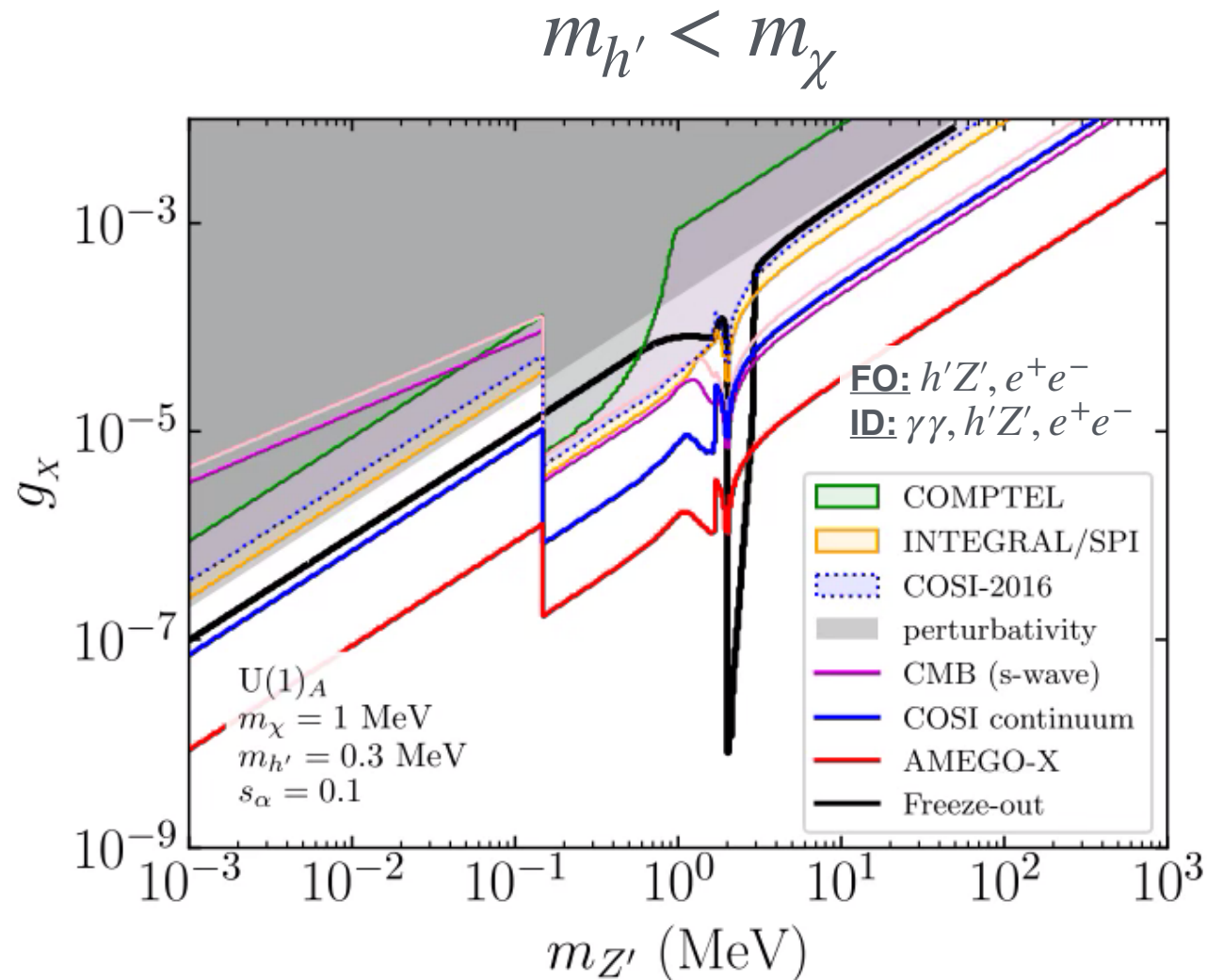


Above the electron threshold: CMB vs continuum



- In this benchmark, the current ID limits exclude the viable parameter space with $m_{Z'} \gtrsim m_{h'}/2$, except near the Z' resonance
- Mediator final states generate boxes and cascade FSR, improving the projected reach

Above the electron threshold: CMB vs continuum



- In this benchmark, the current ID limits exclude the viable parameter space with $m_{Z'} \gtrsim m_{h'}/2$, except near the Z' resonance
- Mediator final states generate boxes and cascade FSR, improving the projected reach

- The CMB bound excludes all the viable parameter space except for the resonance region
- The continuum FSR from the e^+e^- channel is so strong that AMEGO-X can probe very small g_X (freeze-in motivated)

Take-home messages

- A sizable present-day $\gamma\gamma$ line points to dark matter annihilation via light axial Z' bosons; a minimal renormalizable completion requires a $U(1)_X$ -breaking scalar.
- In the case of a light h' scalar, vector-scalar portals predict correlated γ -ray lines, boxes, and continuum emission while opening new thermal-relic parameter space in agreement with CMB bounds.
- COSI and proposed MeV γ -ray telescopes will probe complementary spectral features; the present projected reach is indicative, and a response-level COSI analysis is ongoing

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COSI is scheduled to launch in 2027. Get ready!



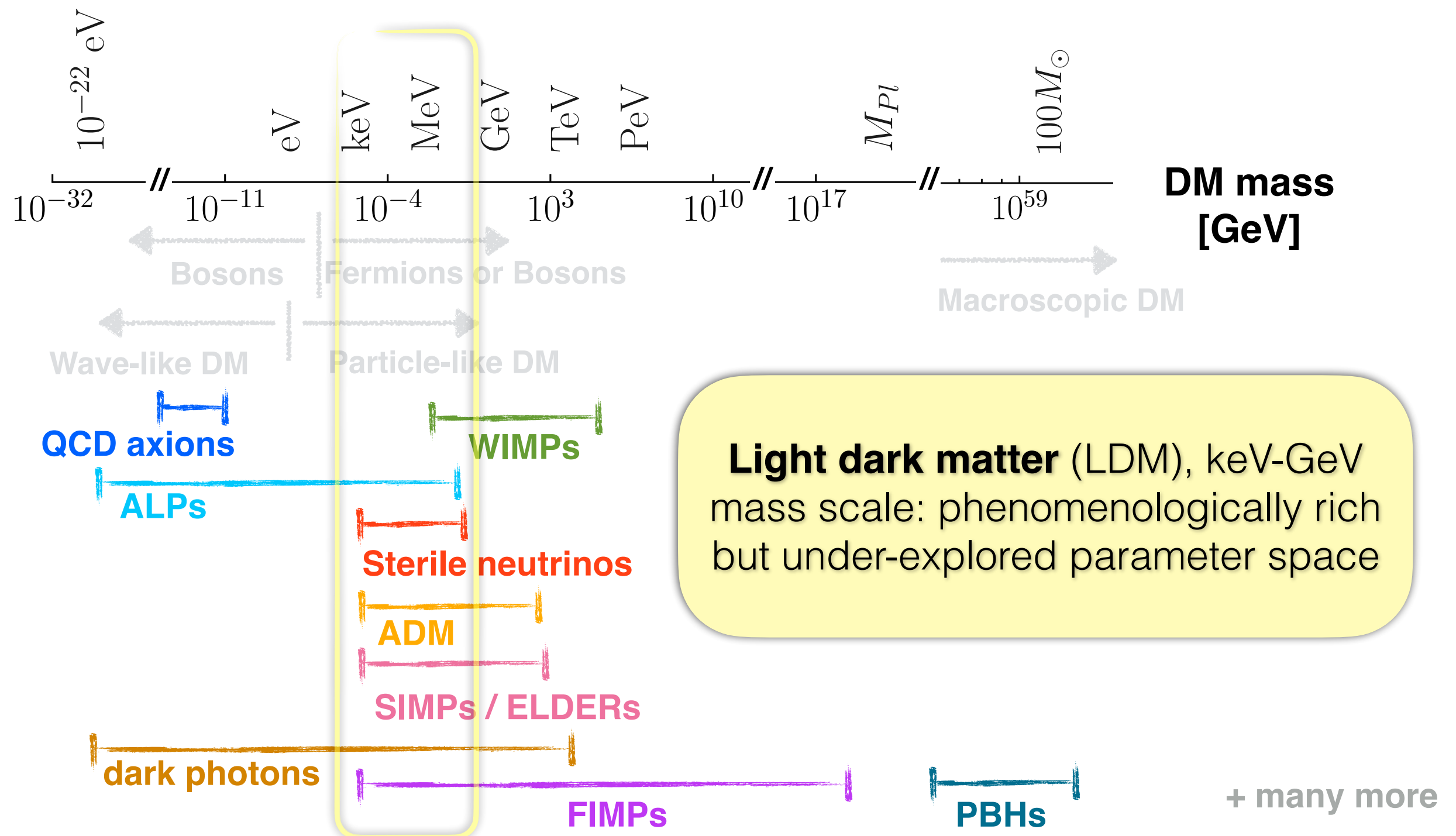
DM @ COSI
Data Challenge 4

Obrigada!

Backup slides

Light dark matter: candidates

Based on all the evidence we have, dark matter is most likely made of **gravitationally interacting particles**



Benchmark charge assignments and their completions

	L_L	l_R	Q_L	u_R	d_R	Φ	Φ_s	χ_L	χ_R
$SU(3)_c$	1	1	3	1	1	1	1	1	1
$SU(2)_L$	2	1	2	1	1	2	1	1	1
$U(1)_Y$	-1	-2	1/3	4/3	-2/3	1	0	0	0
$U(1)_{B-L}$	-1	-1	1/3	1/3	1/3	0	2	4	2
$U(1)_A$	1/3	-1/3	1/3	-1/3	-1/3	2/3	2	4	2

$U(1)_{B-L}$ gauge symmetry:

- One of the simplest anomaly-free setups for a new gauge symmetry
- RHNs cancel the anomalies and enable seesaw
- Gauge invariance requires $X_\Phi = 0 \Rightarrow$ no Z-Z' mass mixing
- Pure vector couplings of SM fermions ($X_{f_L} = X_{f_R}$)

$U(1)_A$ gauge symmetry:

- Phenomenologically motivated (GC GeV excess, SD direct detection, MeV anomalies)
- Requires additional chiral fermions for anomaly cancellation and an extended Higgs sector for gauge-invariant SM Yukawa sector
- Gauge invariance requires $X_\Phi = 2/3 \Rightarrow$ Z-Z' mass mixing
- Pure axial-vector couplings of SM fermions ($X_{f_L} = -X_{f_R}$)

Relevant parameter space

g_X, s_α gauge coupling and scalar mixing angle

$m_\chi, m_{Z'}, m_{h'}$ masses of new particles

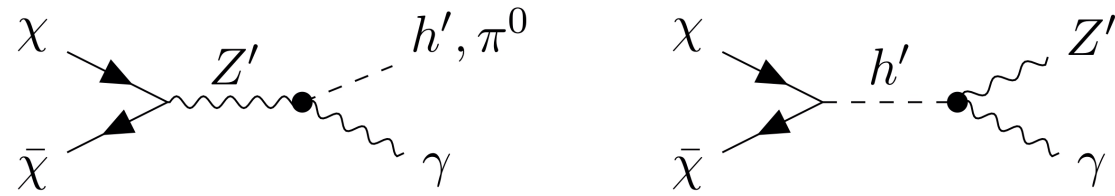
$X_\Phi, X_{\Phi_s}, X_{Q_L}, X_{L_L}, X_{\chi_L}$

charges under $U(1)_X$
(set by choice of symmetry)

Z' mediated dark matter models for the Galactic Center Gamma-ray Excess
D. Hooper [arXiv:1411.4079](#)

Axial vector Z' and Anomaly Cancellation
Ismail, Keung, Tsao, Unwin [arXiv:1609.02188](#)

How to generate strong γ -ray lines at the MeV scale?

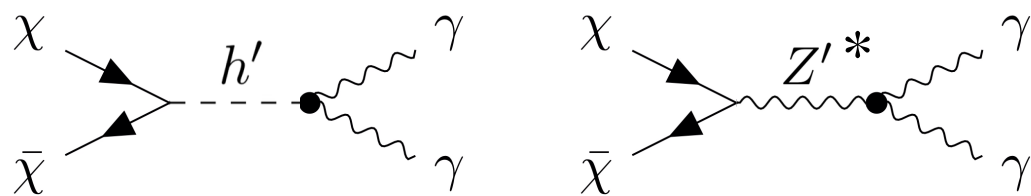


- Negligible cross-sections

$$\sigma_{\pi\gamma} \propto \alpha_{em} g_X^4 / f_\pi^2$$

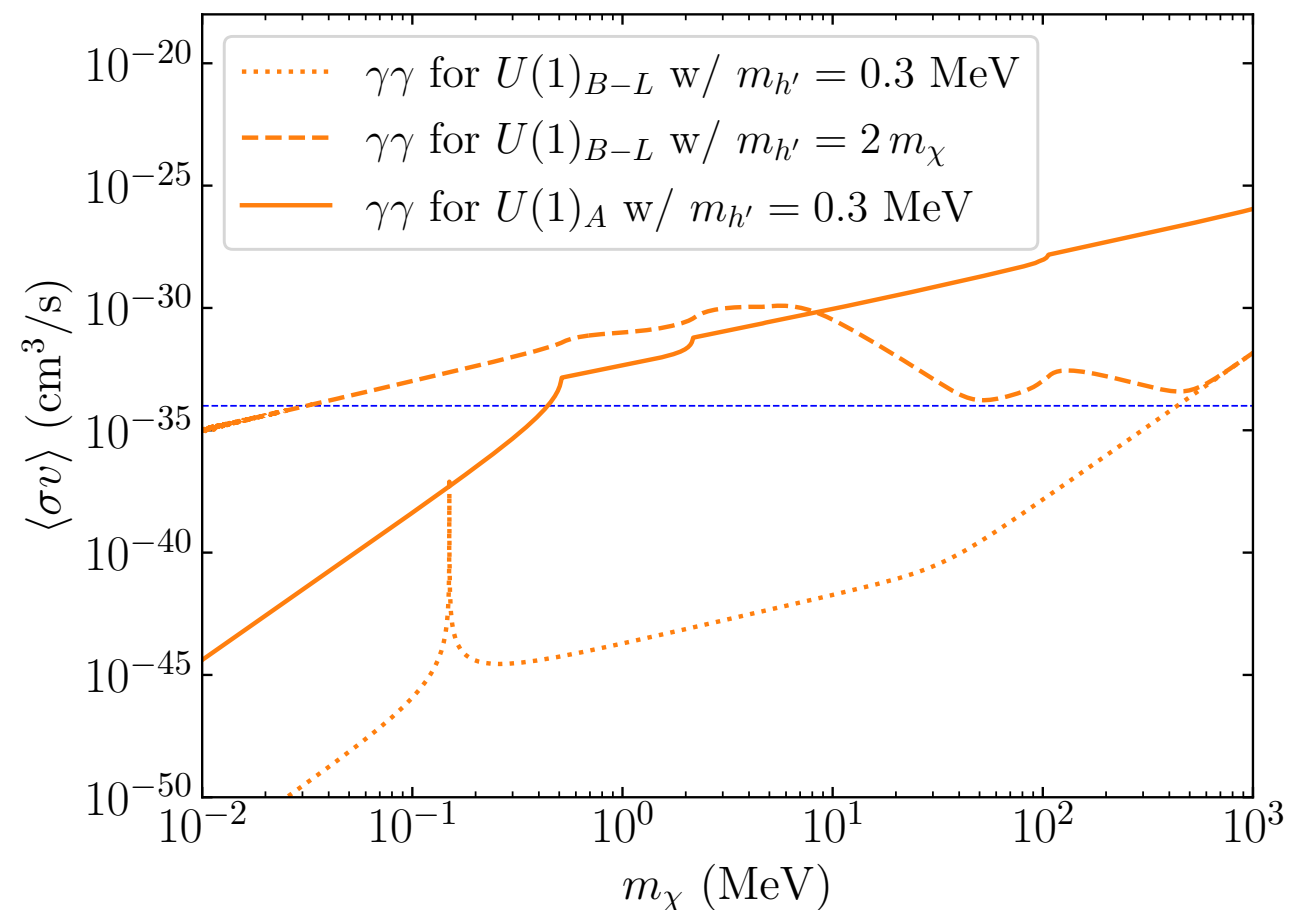
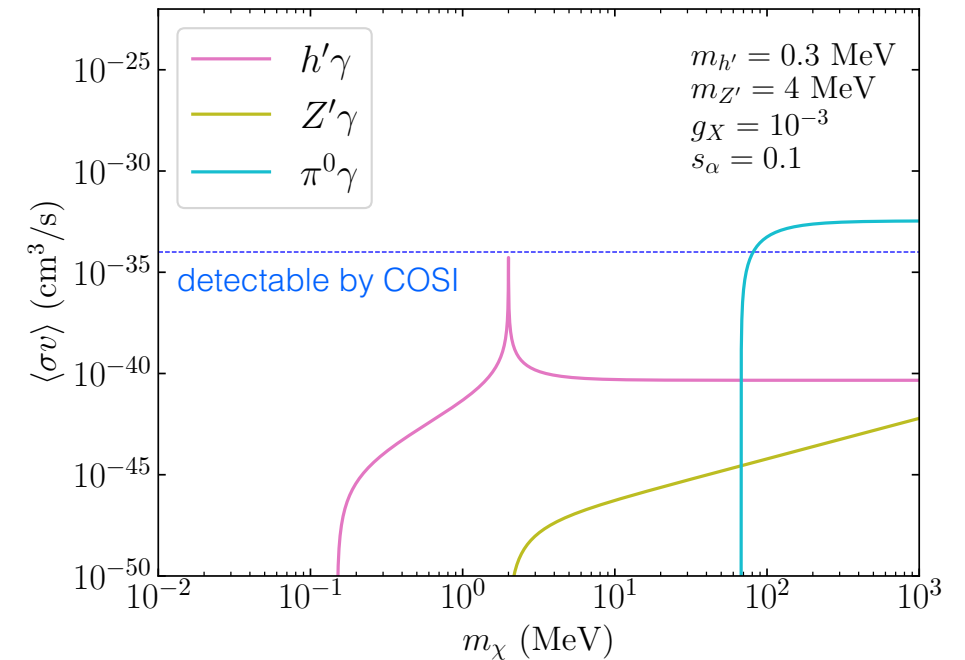
$$\sigma_{Z'\gamma} \propto \alpha_{em} G_F^2 m_W^2 s_W^2 m_\chi^2 / v_s^2$$

$$\sigma_{h'\gamma} \propto \alpha_{em} G_F^2 m_W^2 s_W^2 g_X^2$$

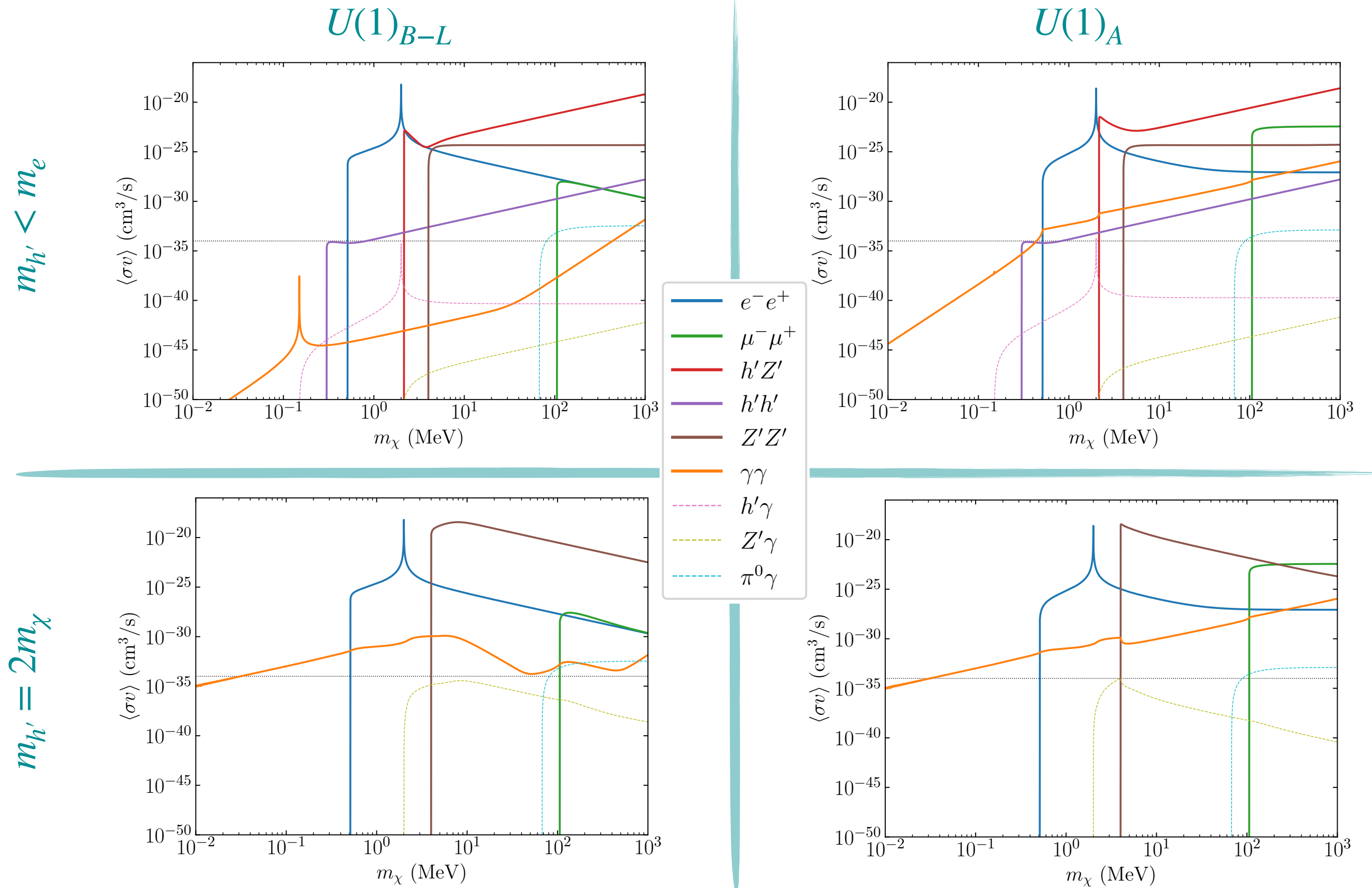


Landau-Yang forbids
 $Z'_{on-shell} \rightarrow \gamma\gamma$

- Scalar portal: negligible cross-section (p-wave and Yukawa suppressed) outside resonance region
- Vector portal: possible if $X_{\chi_L, f_L} \neq X_{\chi_R, f_R}$; sizable cross-section (s-wave)

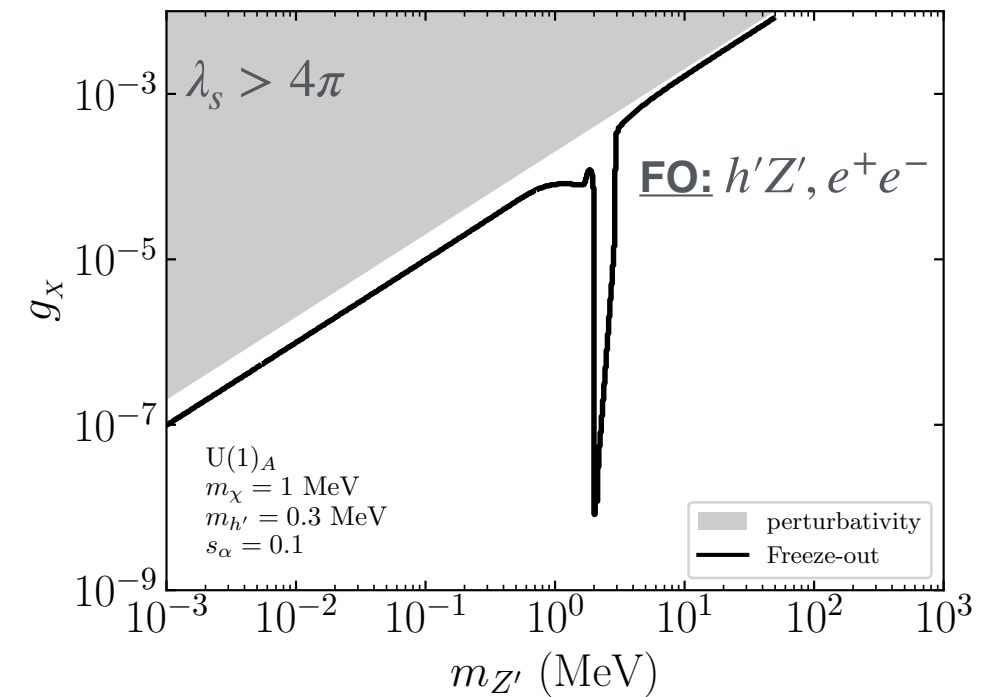
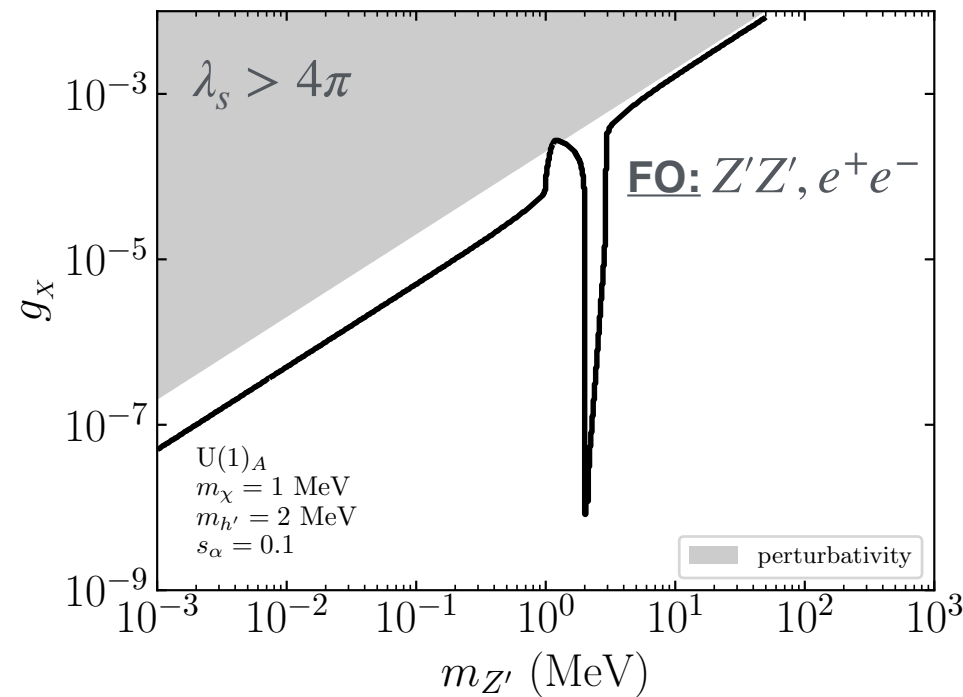
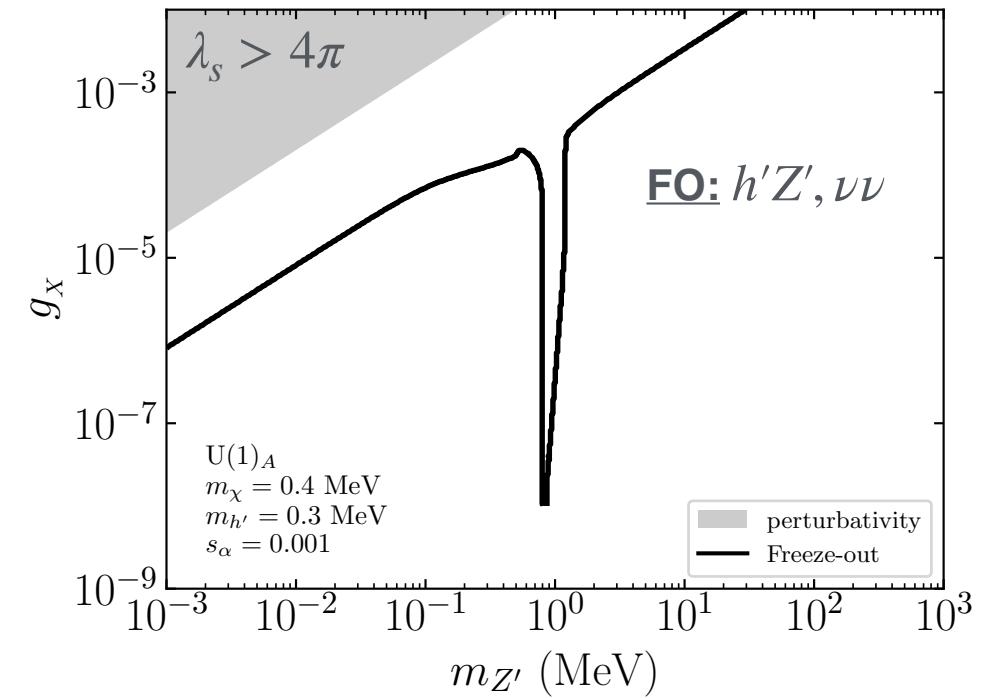
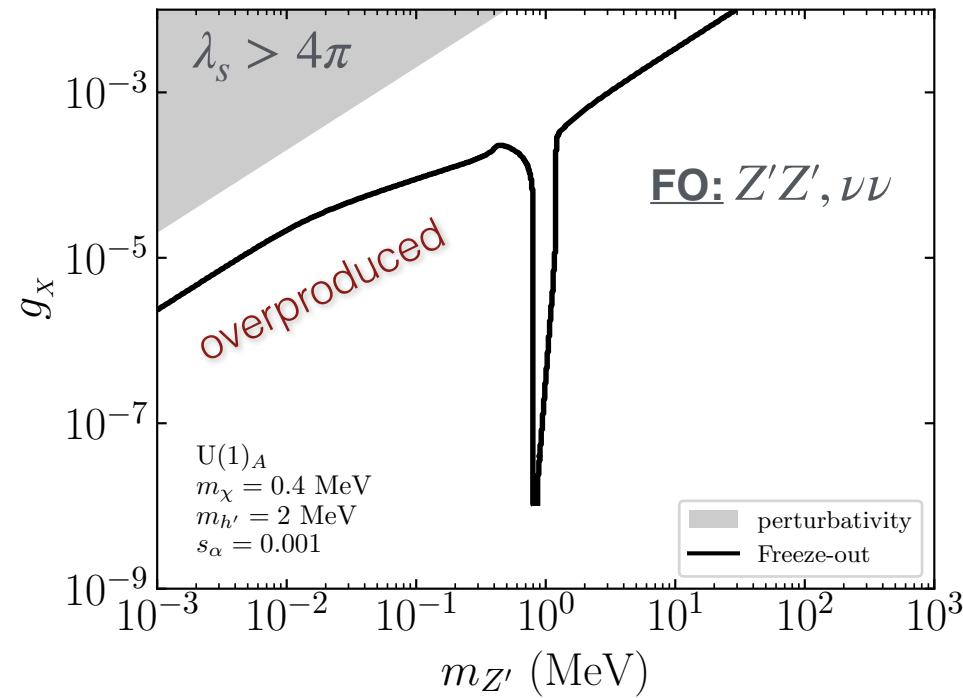
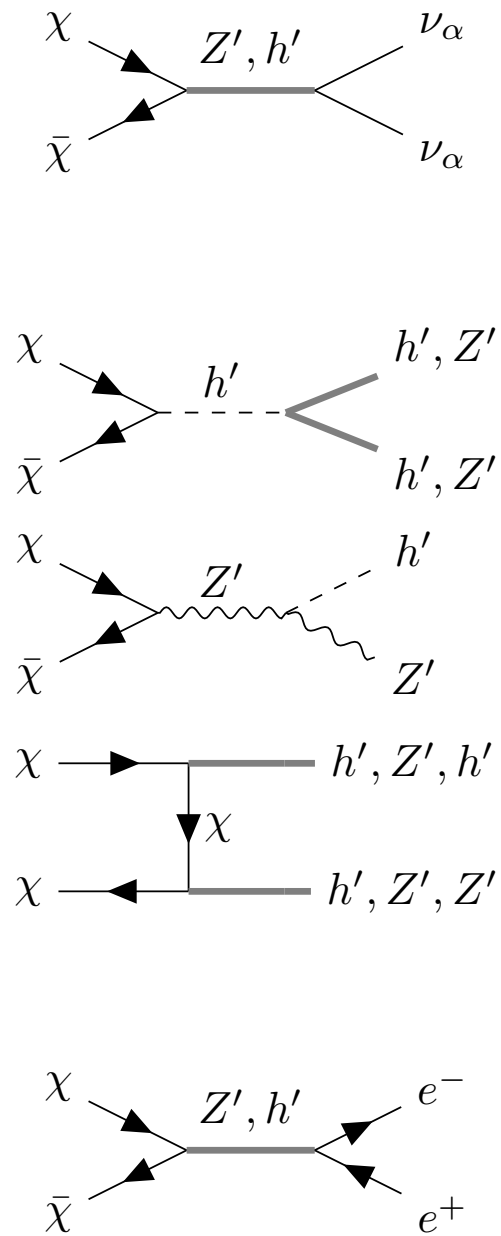


Annihilation channels



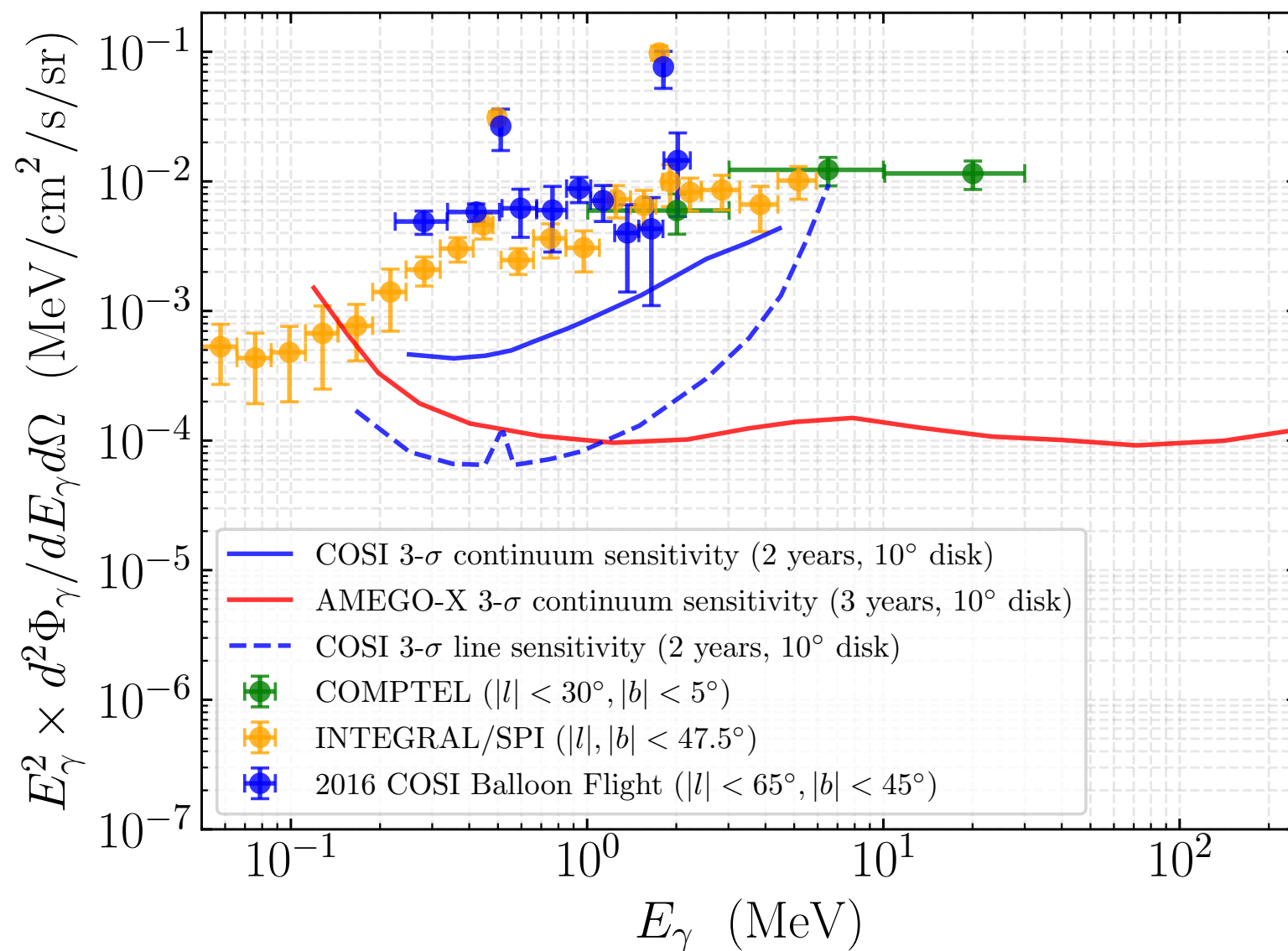
Freeze-out of LDM in vector-scalar portal

We consider the freeze-out production of sub-GeV DM in standard cosmology



Indirect detection of light dark matter

Excluded/probed region in the DM parameter space:



Differential γ -ray flux from DM annihilation:

$$\left. \frac{d\Phi_\gamma}{dE_\gamma} \right|_{\chi\bar{\chi}} = \frac{\Delta\Omega}{16\pi} \bar{J}(\Delta\Omega) \frac{\langle\sigma v\rangle}{m_\chi^2} \sum_f B_f \frac{dN^f}{dE_\gamma}$$

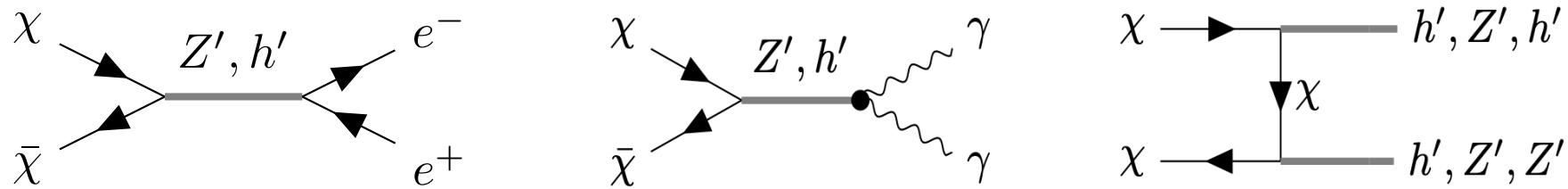
$\bar{J}$: line-of-sight integral of the square DM density, averaged over $\Delta\Omega$
(**signal morphology**)

$\langle\sigma v\rangle$: total velocity-averaged DM annihilation cross-section

$\frac{dN^f}{dE_\gamma}$: γ -ray spectrum from final state f
w/ annihilation branching fraction B_f

Model-dependent CMB bounds

DM annihilation into e.m. particles around and after recombination can modify the ionization history and therefore the CMB temperature and polarization anisotropies



$$f_{eff} \frac{\langle \sigma v \rangle_{CMB}}{m_\chi} < 3.5 \times 10^{-31} \text{ cm}^3/\text{s}/\text{MeV} \text{ (95\% Planck TT, TE, EE + lowE)}$$

Efficiency of energy deposition from DM annihilation in medium:

$$f_{eff} = \frac{1}{E_{cm}} \int_0^{E_{cm}/2} dE E \left(f_{eff}^\gamma \frac{dN}{dE_\gamma}(E) + 2f_{eff}^{e^+} \frac{dN}{dE_{e^+}}(E) \right)$$

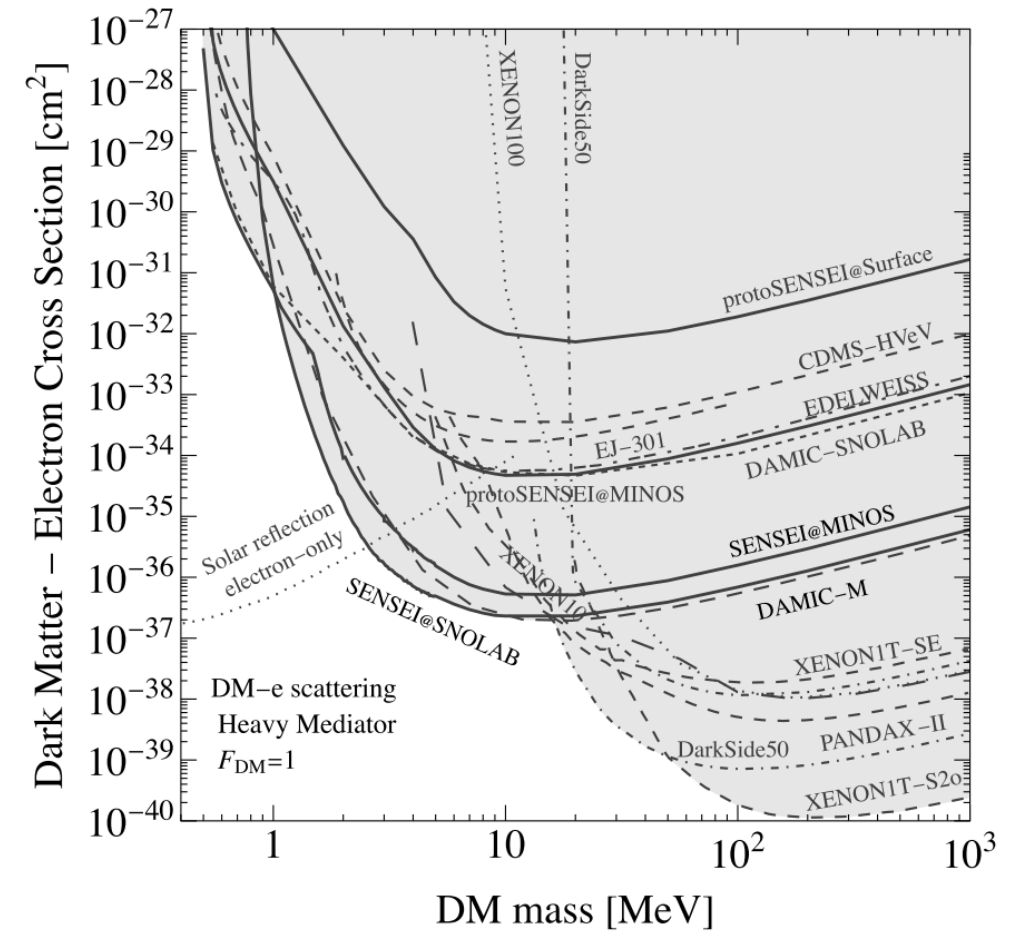
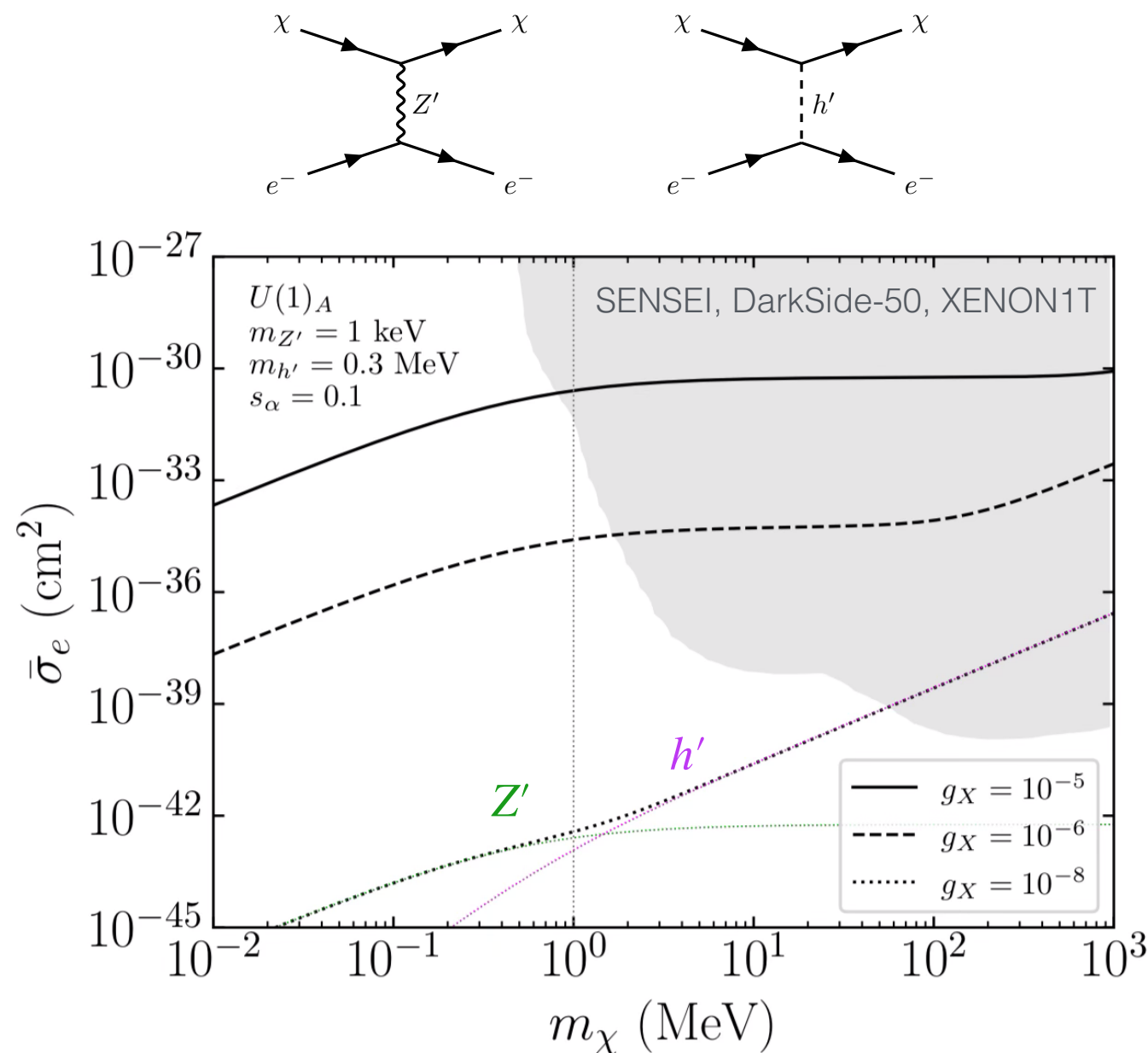
All relevant model-dependent spectra were considered

s-wave limit: $\langle \sigma v \rangle^0 = \langle \sigma v \rangle^{CMB}$

p-wave limit: $\langle \sigma v \rangle^0 = \langle \sigma v \rangle^{CMB} (v_0/v_{CMB})^2$

v_{CMB} depends on kinetic decoupling assumptions

Direct detection of LDM



Some progress & challenges for the direct-detection of sub-GeV dark matter

R. Essig *Nucl. Phys. B* 1003 (2024) 116484

- The largest values of $\bar{\sigma}_e$ for $m_\chi \sim 1$ MeV are obtained for $g_X \sim 10^{-5}$. This region is currently allowed by DD, but already excluded by ID and theoretical limits
- It is interesting to have in mind that for DM in the MeV-GeV range, we will be able to explore the complementarity between AMEGO-X and future DD experiments