

The Sound of the Universe: A Resonant Gravitational Instability Driven by Baryon-Dark Matter Relative Drift

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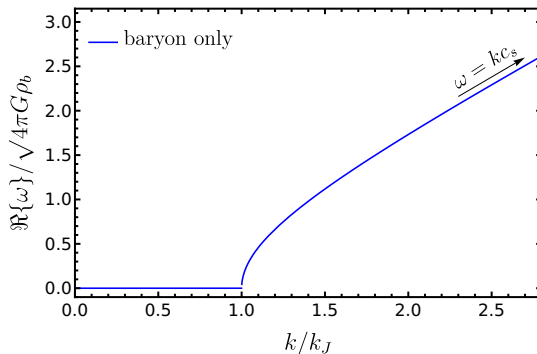
In collaboration with: Avery Broderick

MS+Broderick: arXiv:2604.22665

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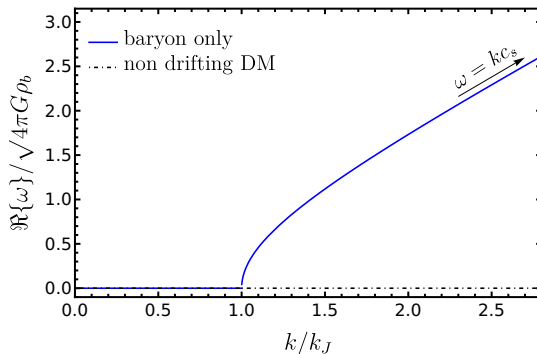
The New Fundamental Mechanism: SBI

“A resonant gravitational instability driven by the relative streaming of baryons and dark matter.”



The New Fundamental Mechanism: SBI

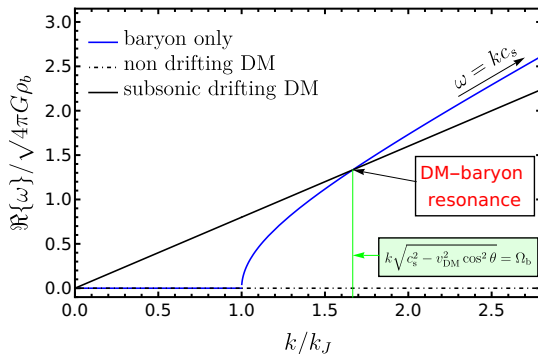
“A resonant gravitational instability driven by the relative streaming of baryons and dark matter.”



Solar neighborhood: $1/\Omega_{\text{DM}} \sim 3 \times 10^8 \text{ yr}$

The New Fundamental Mechanism: SBI

“A resonant gravitational instability driven by the relative streaming of baryons and dark matter.”



Slope = Projected DM velocity along k -direction. $v_r \equiv v_{DM} \cos \theta / c_s$

Resonance: same ω at the same $k \Rightarrow$ **Shalaby-Broderick instability (SBI)**

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Key Findings – Summary

Relative drift is a direct consequence of the standard Λ CDM model

⇒ **Shalaby-Broderick instability (SBI)**

- ① **Resonant instability** when projected drift subsonic ($v_{\text{DM}} \cos \theta \leq c_s$).
- ② **Stable window** between Jeans scale and resonance (baryon-dominated).
- ③ **Supersonic suppression** – unifies known effect (Tselikhovich & Hirata 2010).

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- ⑤ **Energy & Momentum exchange** → collisionless drag.
- ⑥ **Broad impact** from planets to galaxy clusters, growth times $\ll$ ages.
 - A new lens on the interaction of dark and visible matter across all scales.
 - Sound waves in baryons, excited on timescales $\ll$ system ages.
- ⑦ **Cosmology** impacting the growth of (baryons) cosmological linear perturbations.

Using Gravity, Not the Weak Force

...because gravity is coherent, and coherence amplifies.

Direct DM Detection: The Standard Paradigm

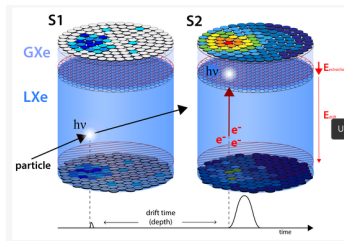
Traditional searches look for rare, particle-level interactions (WIMP-nucleon scattering).

Example: XENONnT (Aprile et al. PRL 131, 041003; 2023)

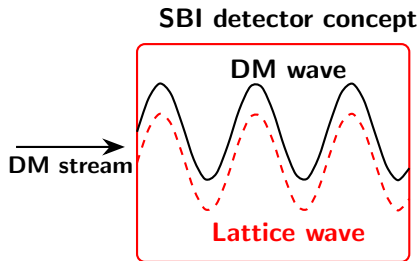
- **S1:** Prompt scintillation flash from nuclear recoil.
- **S2:** Secondary flash from ionized electrons.
- Time between flashes $\Rightarrow$ 3D position.
- Brightness ratio $\Rightarrow$ DM vs. background discrimination.

Current limit: cross section $< 2.85 \times 10^{-47} \text{ cm}^2$
($m_{\text{DM}} = 28 \text{ GeV}$).

The gold standard. But it relies on the *weak* force.



Direct DM Detection: The Idea



Coherent wave-wave resonance

DM stream $\leftrightarrow$ lattice vibrations
Same wavelength $\Rightarrow$ resonant energy transfer

Key Idea: A coherent DM wave resonantly couples to the lattice vibrations of a solid target, driving narrow-band vibrational oscillations.

Gravity is Weak — But Coherent

Gravity is weak per nucleon: $\alpha_G = \left(\frac{m_p}{M_{Pl}}\right)^2 \sim 6 \times 10^{-39}$

Weak force per nucleon: $\alpha_W = G_F m_p^2 \sim 10^{-5}$
 $\Rightarrow \frac{\alpha_W}{\alpha_G} \sim 10^{32}$

Coherent amplification:

$$\alpha_G^{\text{macro}} \sim N^2 \alpha_G, \quad N = \frac{M}{m_p}$$

For a 1 kg target:

$$N \sim \frac{10^3 \text{ g}}{1.6 \times 10^{-24} \text{ g}} \sim 6 \times 10^{26}, \quad N^2 \sim 4 \times 10^{53} \Rightarrow \alpha_G^{\text{macro}} \sim 10^{15}$$

Conclusion: $m_p \rightarrow \text{kg} \Rightarrow \alpha_G \sim 6 \times 10^{-39} \times (\text{kg}/m_p)^2 \sim 10^{15}$
20 orders of magnitude stronger than weak force per nucleon.

Equivalent Cross-Section

XENONnT-type search:

$$\sigma < 2 \times 10^{-48} \text{ cm}^2 \quad (m_{\text{DM}} = 30 \text{ GeV})$$

SBI detector: Effective cross-section

$$\sigma_{\text{eff}} \equiv \frac{\Gamma_{\text{res}}}{n_{\text{DM}} v_{\text{rel}}}$$

For lattice density $\rho_{\text{lattice}} \sim \text{kg/L}$ and $\rho_{\text{DM}} \sim 0.4 \text{ GeV/cm}^3$:

$$\sigma_{\text{eff}} \sim 2 \times 10^{-28} \left(\frac{m_{\text{DM}}}{\text{eV}} \right) \text{ cm}^2$$

m_{DM}	σ_{eff}	$\sigma_{\text{eff}}/\sigma_{\text{XENONnT}}$
1 eV	$\sim 2 \times 10^{-28} \text{ cm}^2$	10^{20}
1 GeV	$\sim 2 \times 10^{-22} \text{ cm}^2$	10^{26}

This is a coherent, collective effect — not a particle-level scattering cross-section.

Example: Tungsten Lattice

Tungsten @ room temperatures

$$\rho_{\text{lattice}} = 20 \text{ kg/L}, \quad c_1 = 5.2 \text{ km/s}, \quad \lambda_J \sim 8,000 \text{ km}$$

wavelength	$v_{\text{DM}} \cos \theta / c_1$	T_{res}	λ_{res}	$\omega_{\text{res}} / \Gamma_{\text{res}}$
Long (2e-10 Hz)	$\sim 10^{-7}$	$\sim 18 \text{ yr}$	$\sim 1.5 \times 10^6 c_1 \text{ sec}$	~ 0.12
Short (0.3 Hz)	~ 0.9999	$\sim 14 \text{ kyr}$	$\sim 2.2 \times 10^4 c_1 \text{ sec}$	$\sim 1.3 \times 10^{11}$

Challenge: Short wavelengths grow slowly (10^4 yr).

Solution? 'Long' wavelength with reduced c_1 : aerogels/metamaterials/cooling to shrink λ_{res} .

$$c_1 = 0.1 \text{ cm/sec} \Rightarrow \lambda_{\text{res}} = 1.5 \text{ m} \ \& \ T_{\text{res}} = 18 \text{ yr}$$

SBI detector: A promising idea for cheap DM direct detection

with a novel, robust mechanism: coherent gravitational resonance **SBI**

Questions I didn't have time to discuss today

- ① Impact of lattice impurities/noise (thermal, structural, etc.)
- ② Sensitivity needed for seismometer
- ③ Timescale for growth vs. orientation modulation (earth motion)
- ④ Other sources, e.g., GeV CRs $\rho_{\text{cr}} \sim 10^{-9} \text{GeV}/\text{cm}^3$

A tabletop detector that listens to dark matter's gravitational hum — continuous, coherent, and guaranteed by gravity.

No weak coupling required.

No EM coupling required.

The Sound of the Universe:

A New Way to Listen to/Detect Dark Matter

- First comprehensive analysis of the resonant gravitational instability from DM–baryon relative drift.
- Short timescales – from tens of kyr (planets) to hundreds of Myr (clusters).
- New observational window into the dark sector.

Thank you for your attention

Full paper: Shalaby & Broderick arXiv:2604.22665

Backup slides

Roadmap: Building the Detector

What would it take to build this?

Step 1: Materials

- Low c_s ($\lesssim 1$ km/s)
- High Q (low damping)
- Candidates: aerogels, foams, metamaterials

Step 2: Design

- Geometry (sphere, cylinder)
- Instrument with accelerometers or interferometry
- Shield from seismic noise

Step 3: Search

- Look for narrow-band peak
- Directional signature (θ dependence)
- Smoking gun: frequency tracks DM stream direction

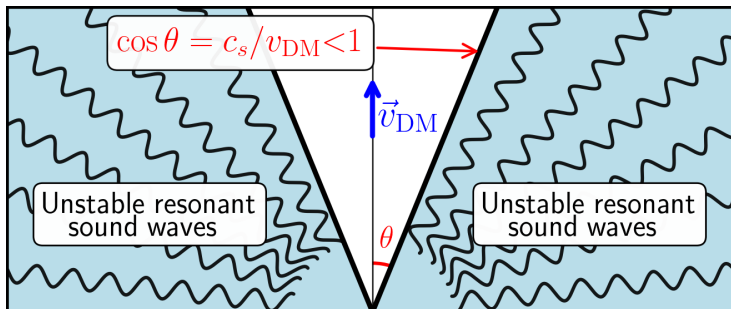
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Signature in Large-Scale Structure

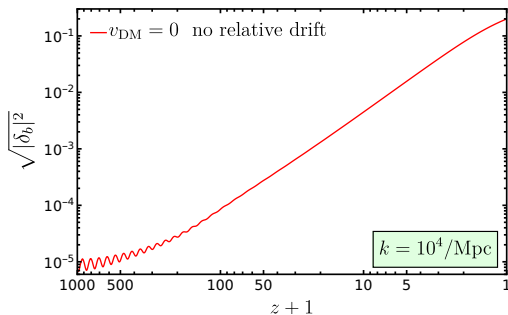
- Resonant only at $k > k_J$ for $v_{\text{DM}} \cos \theta < c_s$
- Jeans scale $k_J = 100/\text{Mpc}$ ($z > 500$) — $1000/\text{Mpc}$ ($z = 0$)
- Relative drift $v_{\text{DM}}/c_s = 5$ ($z = 1000$) — 2 ($z = 0$)

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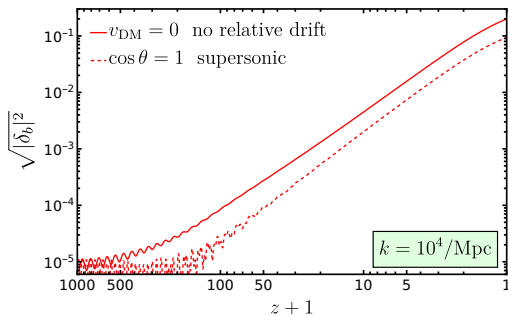
Cosmological Evolution – Baryon Perturbation Growth



- Stable baryon perturbation growth since DM unstable $\rightarrow \delta\Phi \Rightarrow \delta_b$ growth

Baryon perturbation δ_b at $k = 10^4 \text{ Mpc}^{-1}$.

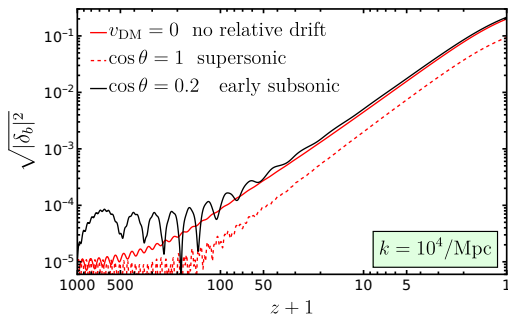
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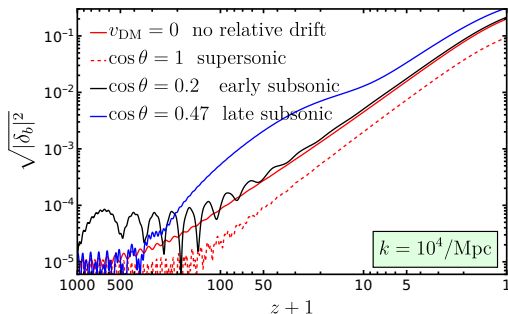
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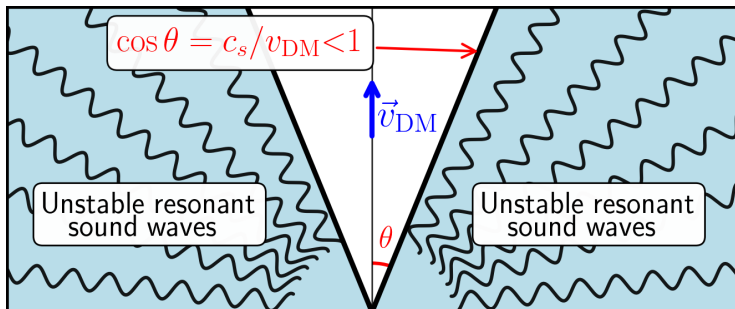
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Anisotropy in Large-Scale Structure



The large-scale structure is not isotropic with respect to the primordial DM flow.

- Anisotropy imprinted on 21 cm signal and distribution of early galaxies (or Pop III stars).
- Enhanced backreaction (collisionless drag) + enhanced $\delta_b \Rightarrow$ impact Hubble tension.
- Larger baryon perturbation may impact σ_8 tension.

MS+Broderick: arXiv:2604.22665

Astrophysical Systems – Direct Implications

Punchlines: more details in the paper

- **Cooling flow problem in clusters:** DM-ICM drift drives sound waves that heat the intracluster medium, growth time $\sim$ cooling time.
- **Spiral arms in galaxies:** Resonance scale naturally gives multi-armed spirals; constant pitch angle; explains persistence.
- **GMCs:** Driven sound waves $\Rightarrow$ impact star formation inside
- **Seismic signatures:** Predicted vibrations in Continental glaciers, Earth (2 mHz), Moon, Sun (2.5 mHz) – might be hard to detect.

The instability provides a novel, external source of energy injection previously overlooked.

A New Probe of Dark Matter

- The instability turns the relative motion of DM from a nuisance parameter into a **powerful diagnostic tool**.
- Specific scales and growth rates are sensitive to DM properties:
 - Sound speed (cold / warm / hot)
 - Local density
 - Coherence length (WIMPs vs. ultra-light)
- Opens new observational probes:
 - Seismic measurements in terrestrial bodies (Earth, Moon, ice sheets)
 - Galactic spiral structure (arm number, pitch angle)
 - 21 cm power spectrum anisotropies
 - Pulsar timing array jitter (~ 20 kHz)

Regimes of Applicability & Future Work

- **Most robust for WIMP-like DM** (coherent over large scales, granularity negligible).
- Ultra-light DM (axions, fuzzy DM) requires separate treatment – granularity may suppress instability.
- Growth must be faster than coherence time and system age – satisfied for most environments in Table 1 (of the paper).
- **Future work:**
 - Quantitative modeling of spiral arms and cluster heating with simulations.
 - Detailed predictions for 21 cm power spectrum.
 - Experimental concepts for seismic detection.

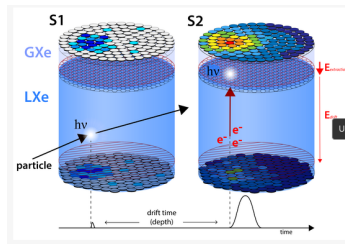
“The sound of the universe is not just a metaphor – it is a potentially observable phenomenon.”

Direct DM detection using SBI

Traditional DM searches look for axion-photon conversion or nuclear recoils.

Example: XENONnT experiment (Aprile et al PRL 131, 041003; 2023)

- S1: A DM particle hits a xenon atom (liquid) $\Rightarrow$ quick, tiny flash of light.
- S2: DM hit $\Rightarrow$ loose electrons $\Rightarrow$ float to the top layer and hit the gas $\Rightarrow$ second, much brighter flash of light.



- * measure the time between the two flashes to determine the loc. of the collision.
- * Diff. in the brightness of the two flashes $\Rightarrow$ DM or background radiation.

No signal $\Rightarrow$ cross section $< 2.85 \times 10^{-47} \text{ cm}^2$ ($m_{\text{DM}} = 28 \text{ GeV}$) (Aprile et al PRL 131, 041003; 2023)